

BAND Analysis Update

Jason Phelan (MIT), Nov 20, 2025

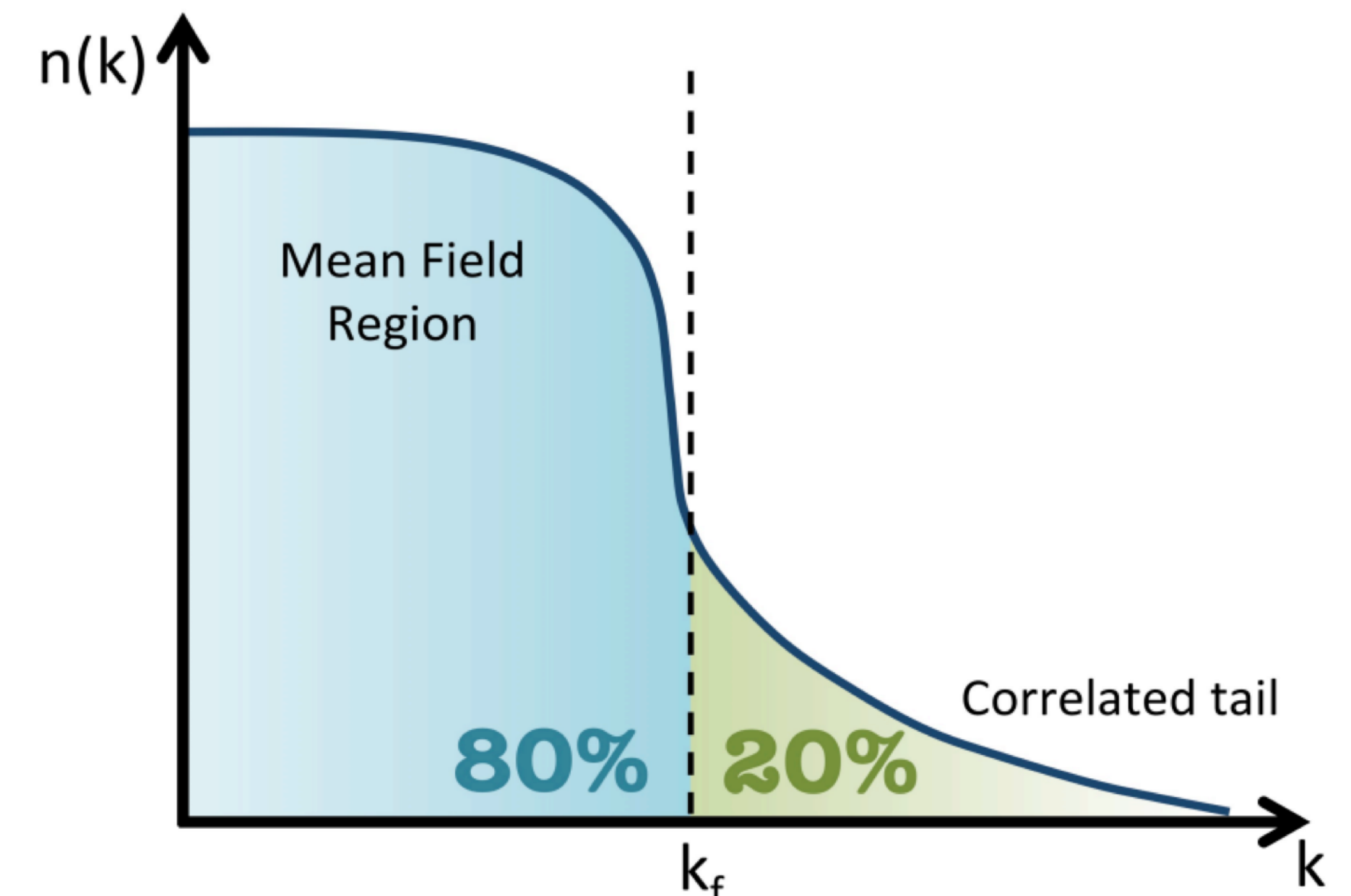
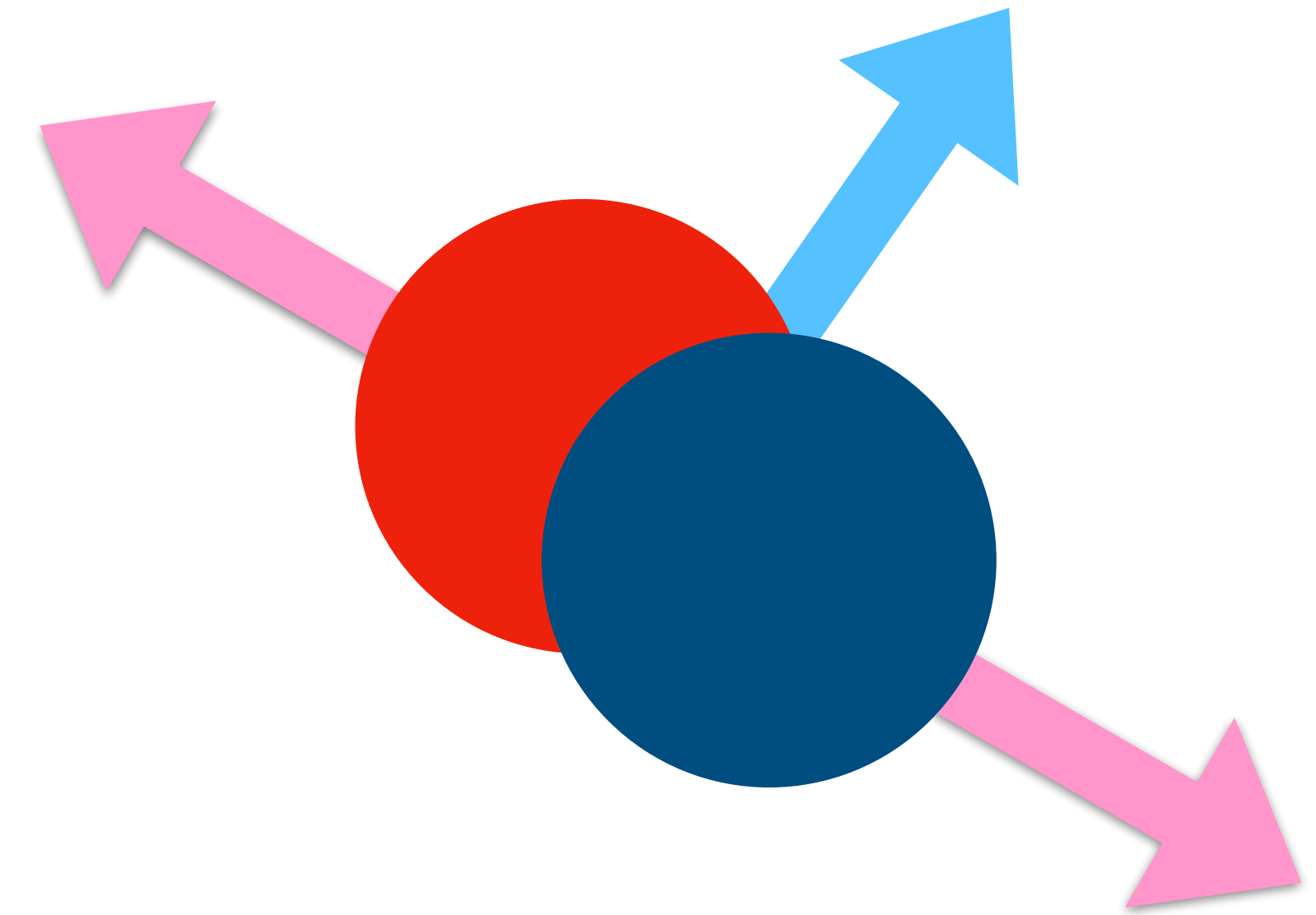
Short Range Correlated Nucleons

Nucleon pairs with:

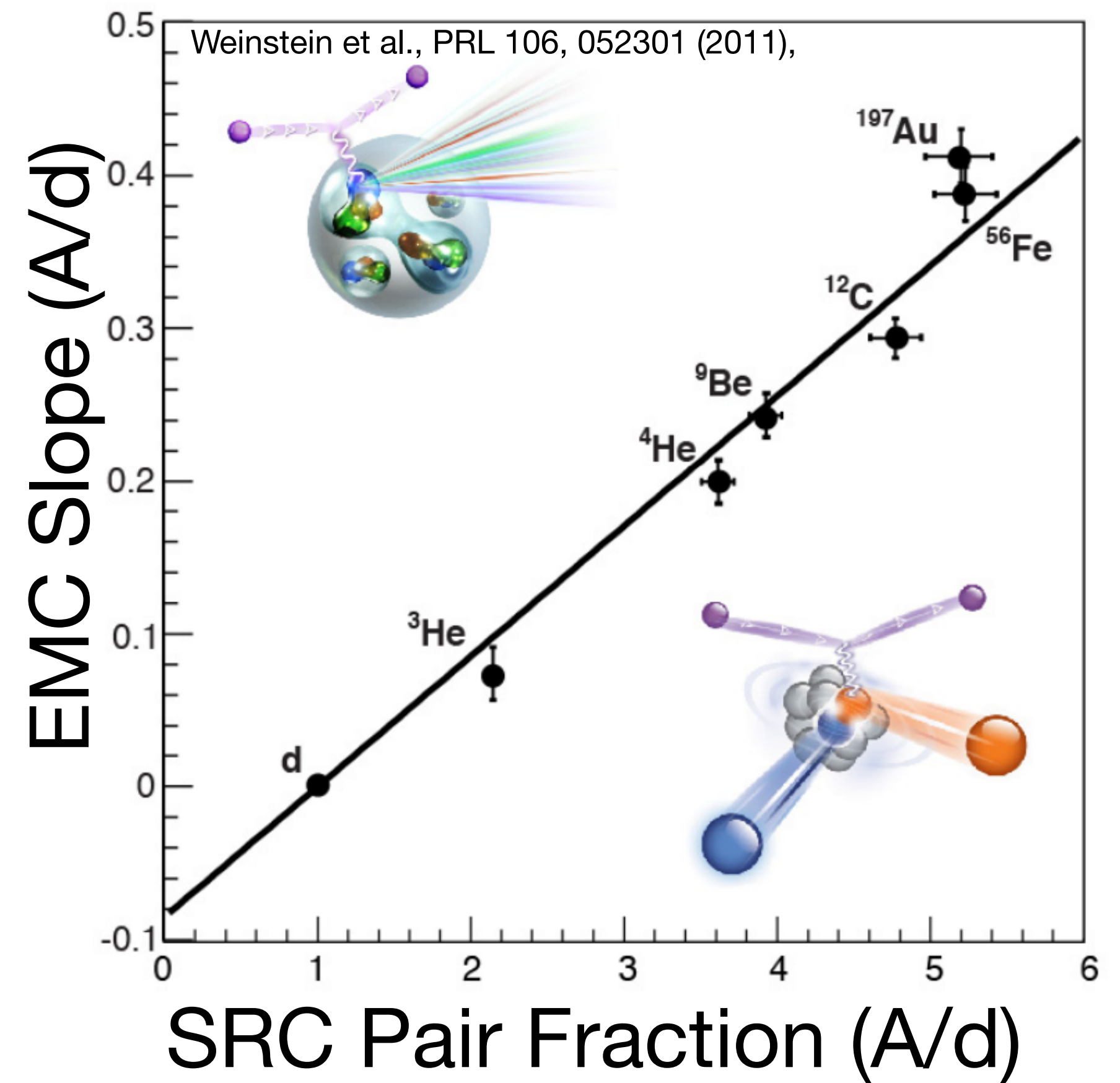
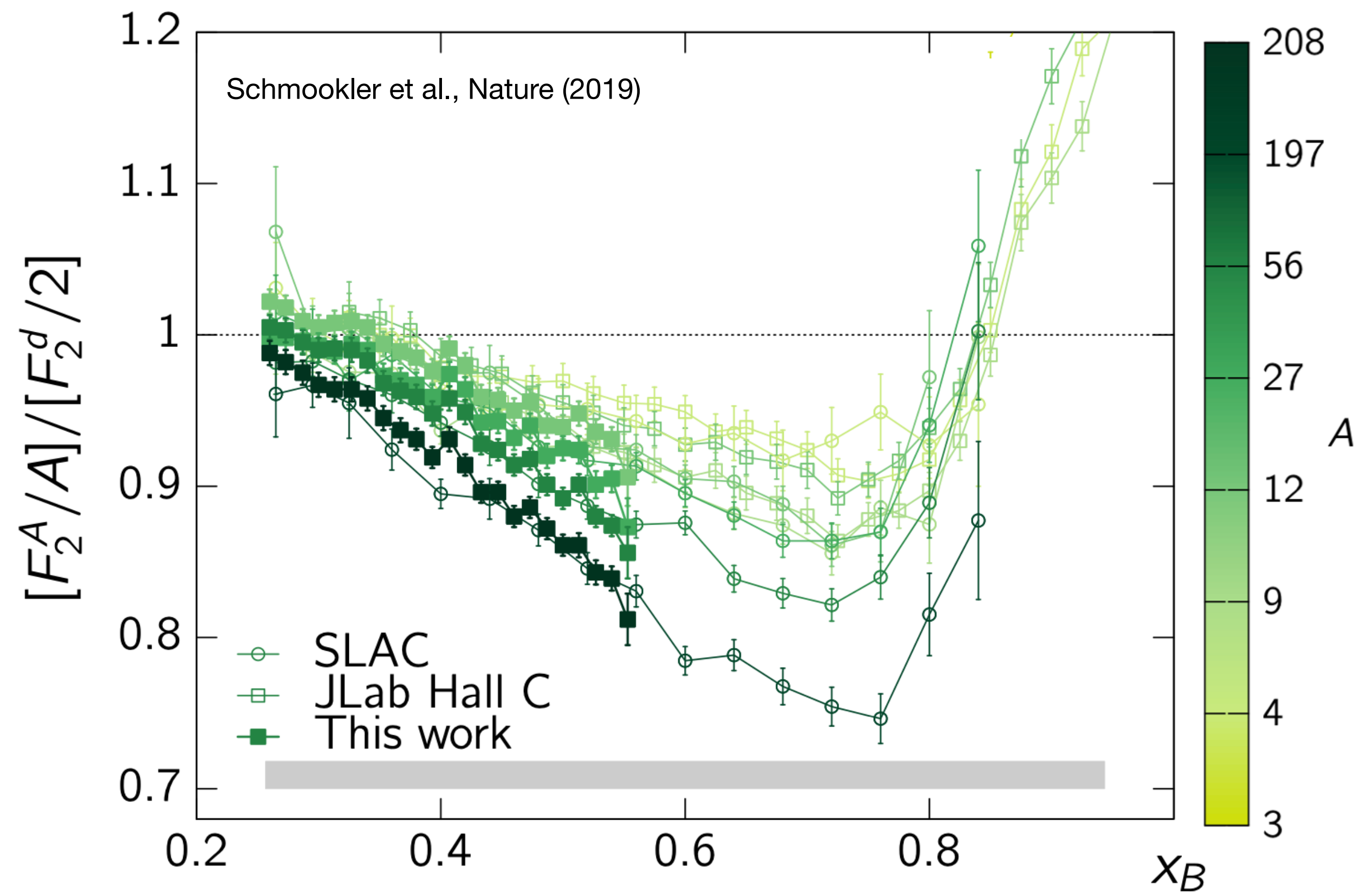
Small **spatial** separation

High **relative** and low **CM** momentum compared to k_F

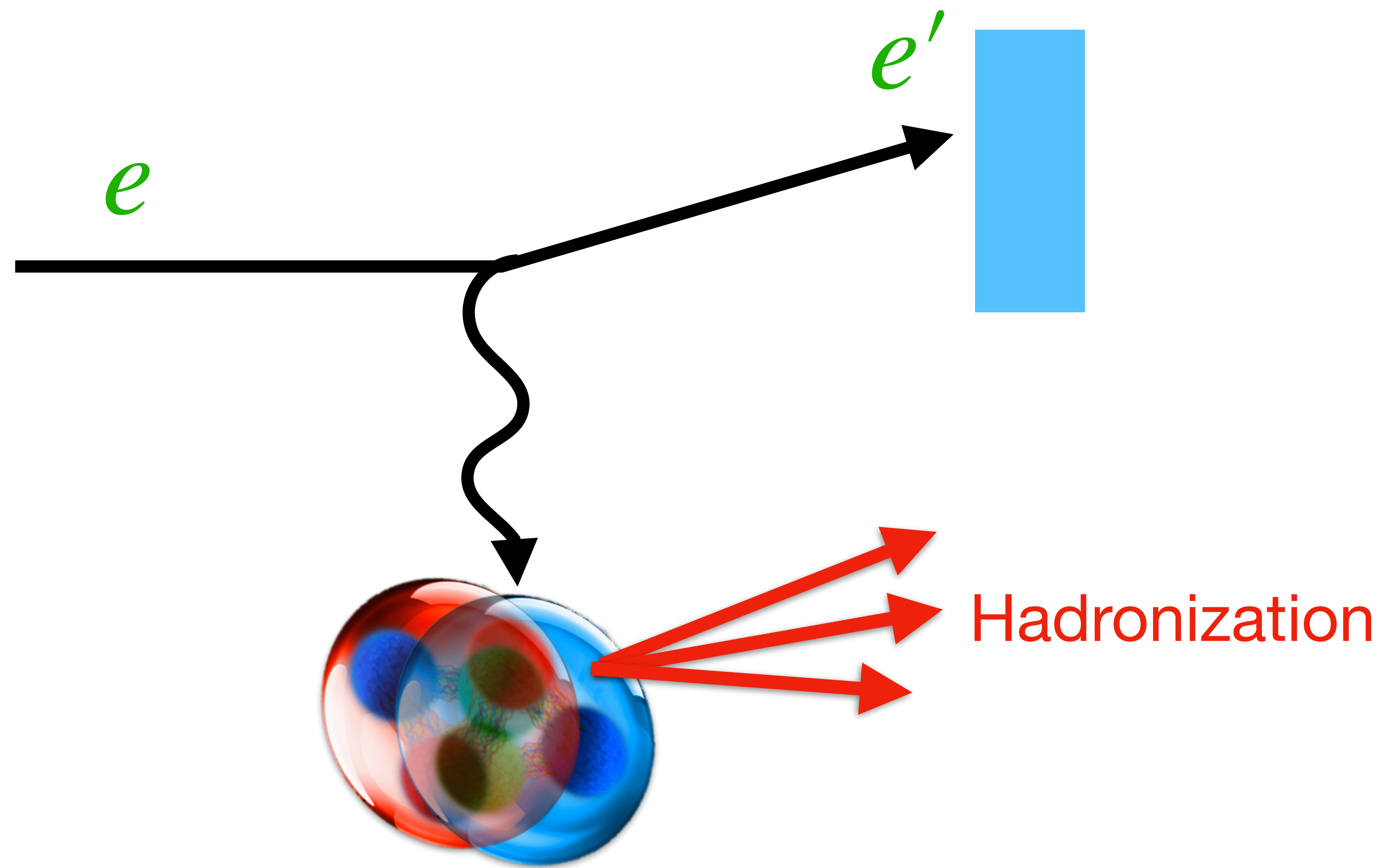
Significant contribution to nuclear momentum distribution $p > k_F$



EMC-SRC Hypothesis



How do we bridge the EMC-SRC gap?



Standing nucleon target:

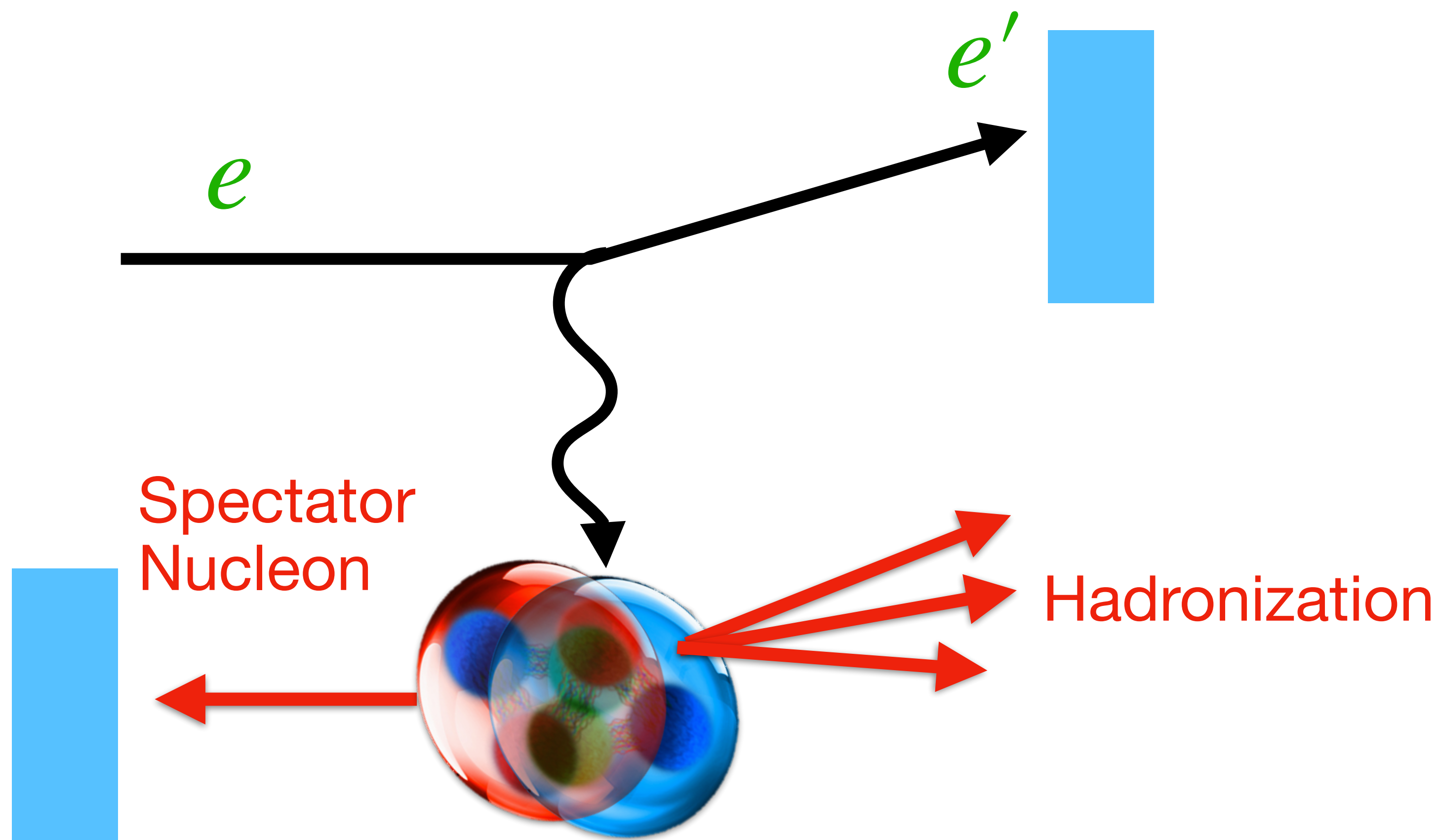
$$p_0 = (m_n, 0)$$

$$W^2 = (p_0 + q)^2$$

$$x_B = \frac{Q^2}{2m_n\omega}$$

No information on initial
nuclear state

How do we bridge the EMC-SRC gap?



Moving nucleon target:

$$p_\mu = (E, -p_s)$$

$$(W')^2 = (p_\mu + q)^2$$

$$x' = \frac{Q^2}{(W')^2 - m_n^2 + Q^2}$$

$$\alpha_S = \frac{E_s - p_s \cos \theta_{sq}}{m_n}$$

Tagging the spectator allows us to reconstruct the initial nuclear state

Constructing an observable

PWIA Tagged DIS Cross Section (struck proton):

$$\frac{d\sigma_{tag}}{dx dQ^2 d\alpha dp_{\perp}} = K(x, Q^2) \cdot S(\alpha, p_{\perp}) \cdot F_2^{p*}(x', Q^2, \alpha, p_{\perp})$$

Kinematic term

Spectral function

Tagged structure function

Constructing an observable

PWIA Tagged DIS Cross Section:

$$\frac{d\sigma_{tag}}{dx dQ^2 d\alpha dp_{\perp}} = K(x, Q^2) \cdot S(\alpha, p_{\perp}) \cdot F_2^{p*}(x', Q^2, \alpha, p_{\perp})$$

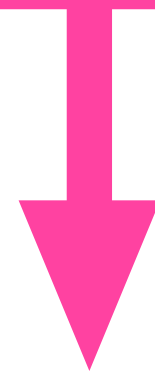


What we want to
determine

Constructing an observable

PWIA Tagged DIS Cross Section:

$$\frac{d\sigma_{tag}}{dx dQ^2 d\alpha dp_{\perp}} = K(x, Q^2) \cdot S(\alpha, p_{\perp}) \cdot F_2^{p*}(x', Q^2, \alpha, p_{\perp})$$

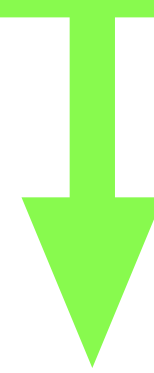


Normalize σ_{tag} to
 $x' = 0.3$ to cancel S
dependence

Constructing an observable

PWIA Tagged DIS Cross Section:

$$\frac{d\sigma_{tag}}{dx dQ^2 d\alpha dp_{\perp}} = K(x, Q^2) \cdot S(\alpha, p_{\perp}) \cdot F_2^{p*}(x', Q^2, \alpha, p_{\perp})$$



Compare σ_{tag} to
simulation to cancel
 K dependence

Constructing an observable

$$\mathcal{R} = \frac{\sigma_{tag}^{meas.}(x', Q^2, \alpha, p_{\perp})}{\sigma_{tag}^{meas.}(.3, Q^2, \alpha, p_{\perp})} \bigg/ \frac{\sigma_{tag}^{theory}(x', Q^2, \alpha, p_{\perp})}{\sigma_{tag}^{theory}(.3, Q^2, \alpha, p_{\perp})} = \frac{Y_{tag}^{meas.}(x')}{Y_{tag}^{meas.}(.3)} \bigg/ \frac{Y_{tag}^{theory}(x')}{Y_{tag}^{theory}(.3)}$$

$$\mathcal{R} \approx \frac{F_2^{p*}(x') / F_2^p(x')}{F_2^{p*}(.3) / F_2^p(.3)}$$

Measured **bound** proton structure function

Simulated **free** proton structure function

Constructing an observable

$$\mathcal{R} = \frac{\sigma_{tag}^{meas.}(x', Q^2, \alpha, p_{\perp})}{\sigma_{tag}^{meas.}(.3, Q^2, \alpha, p_{\perp})} \bigg/ \frac{\sigma_{tag}^{theory}(x', Q^2, \alpha, p_{\perp})}{\sigma_{tag}^{theory}(.3, Q^2, \alpha, p_{\perp})} = \frac{Y_{tag}^{meas.}(x')}{Y_{tag}^{meas.}(.3)} \bigg/ \frac{Y_{tag}^{theory}(x')}{Y_{tag}^{theory}(.3)}$$

$$\mathcal{R} \approx \frac{F_2^{p*}(x') / F_2^p(x')}{F_2^{p*}(.3) / F_2^p(.3)}$$

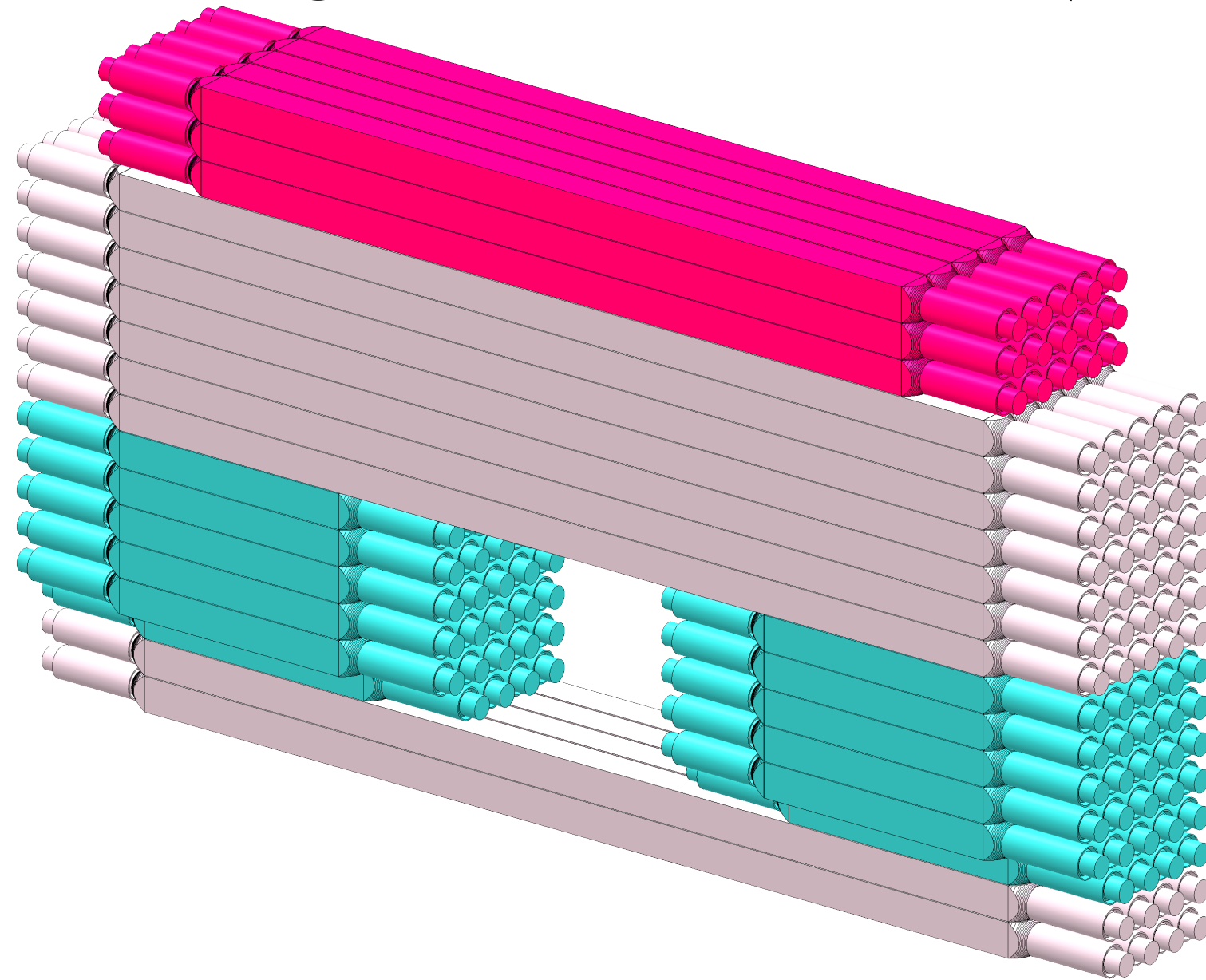
Measured **bound** proton structure function

Simulated **free** proton structure function

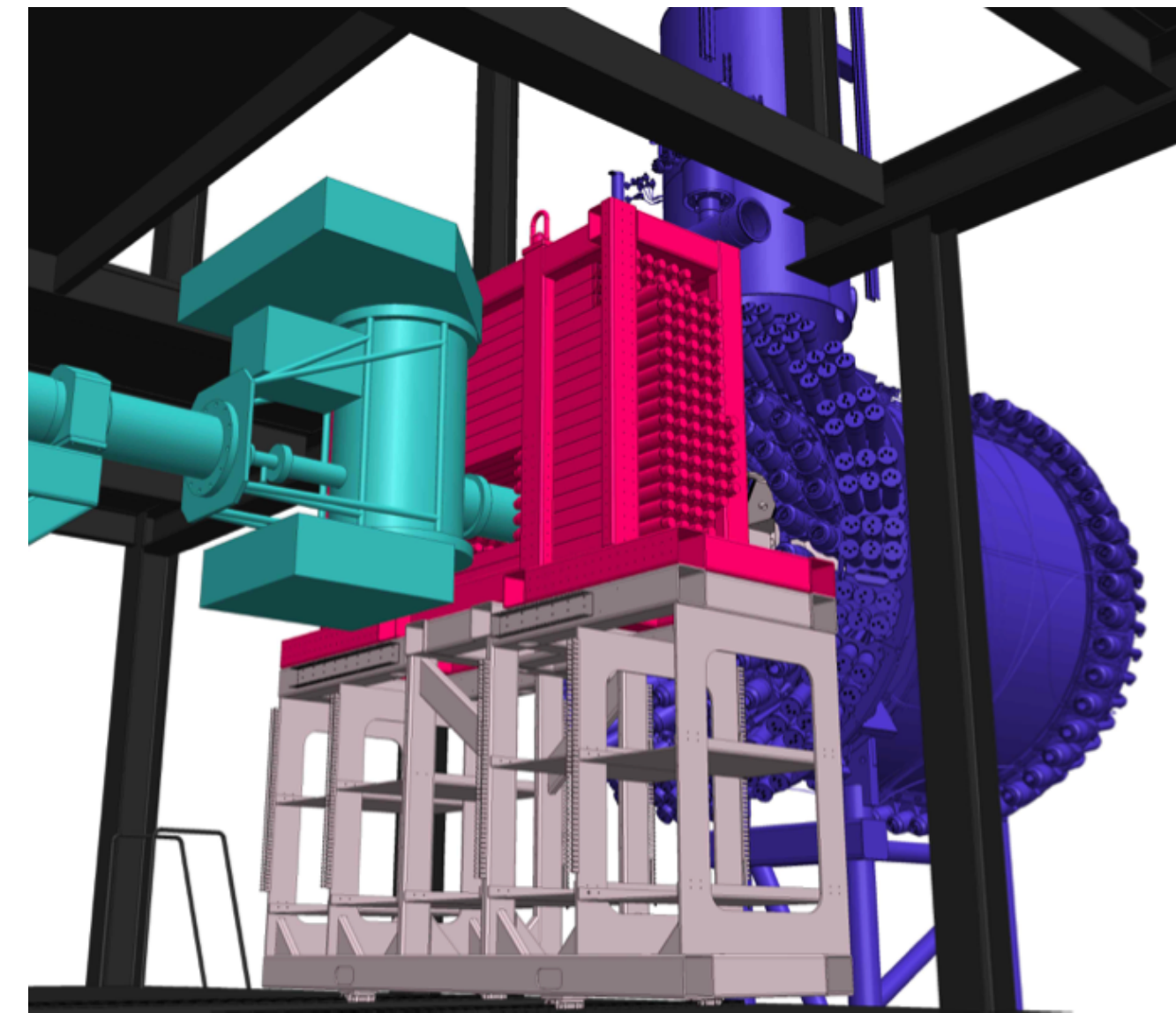
We will study $\mathcal{R}$ as a function of α and x' with
BAND using $d(e, e'n_{spectator})$ reactions

Backwards Angle Neutron Detector (BAND)

Time of flight (TOF) detector installed upstream of CLAS12 detector to measure backward recoiling neutrons from $d(e, e'n)X$ DIS scattering

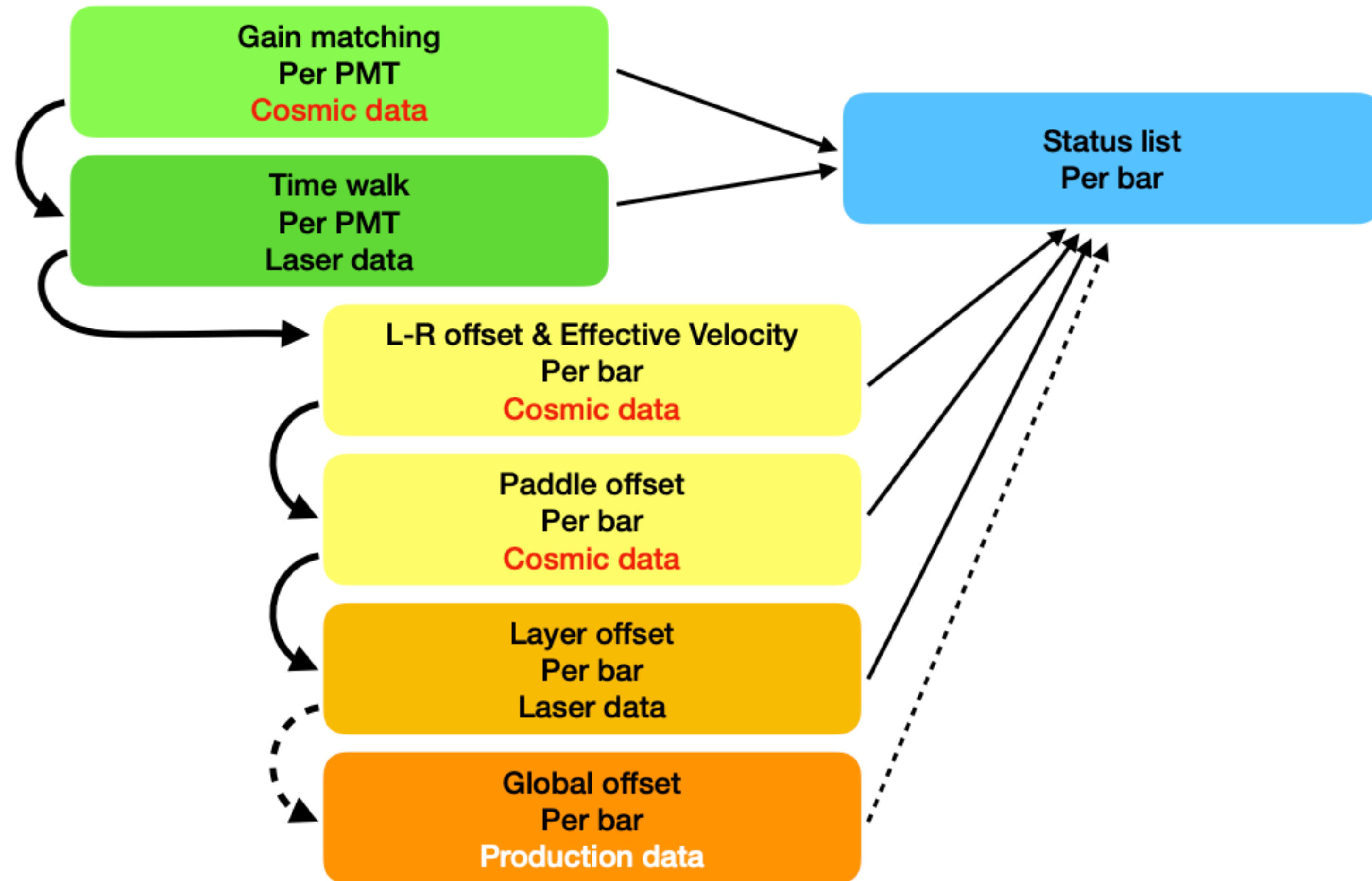


- 5×18 scintillator array with PMT readouts
- Veto layer and lead shield
- Laser calibration and control systems

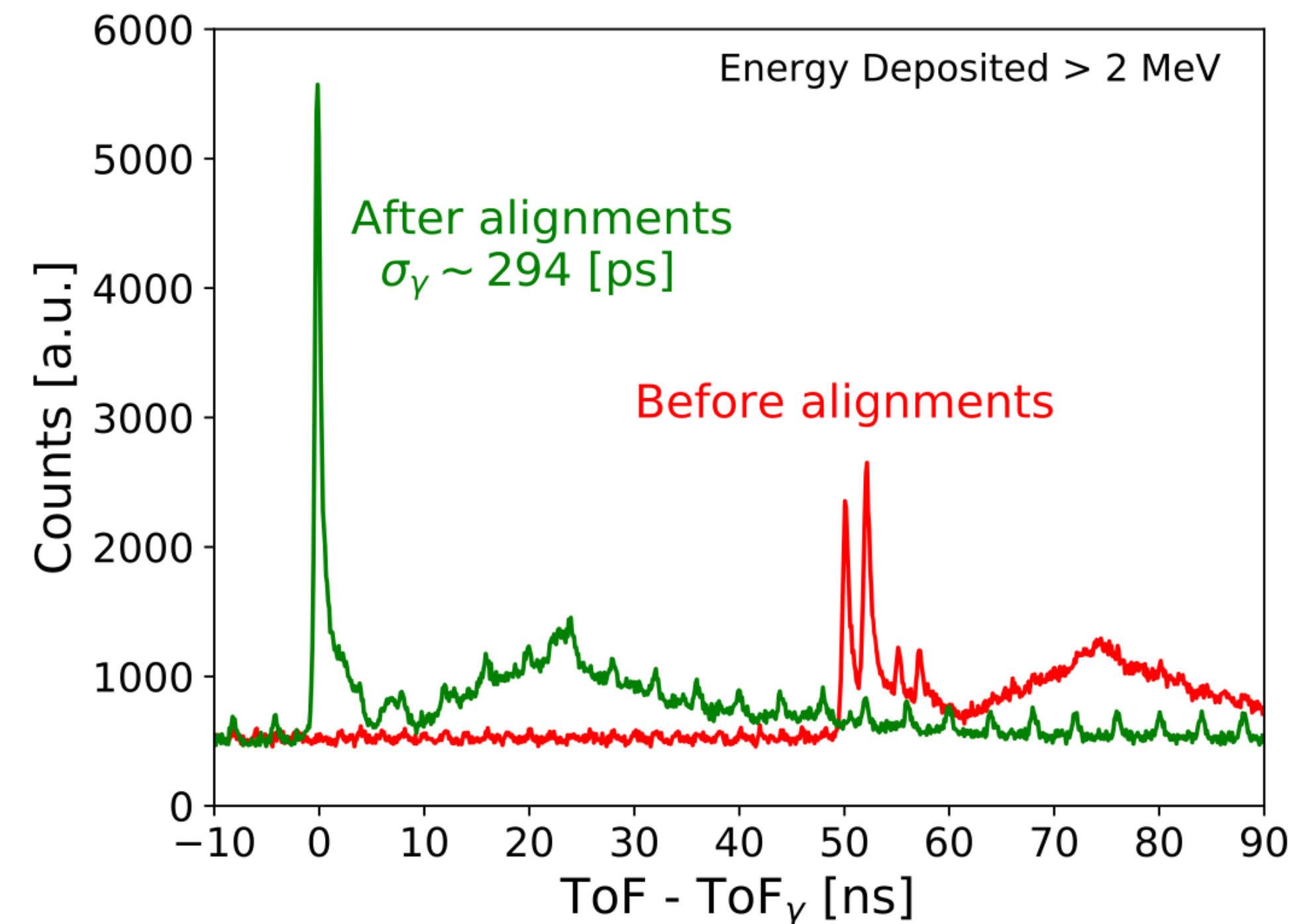


- Spans polar angles $\theta_n \in (155^\circ, 175^\circ)$
- Sensitive to momenta $0.2 \leq p_n \leq 0.6 \text{ GeV}/c$

Calibrations

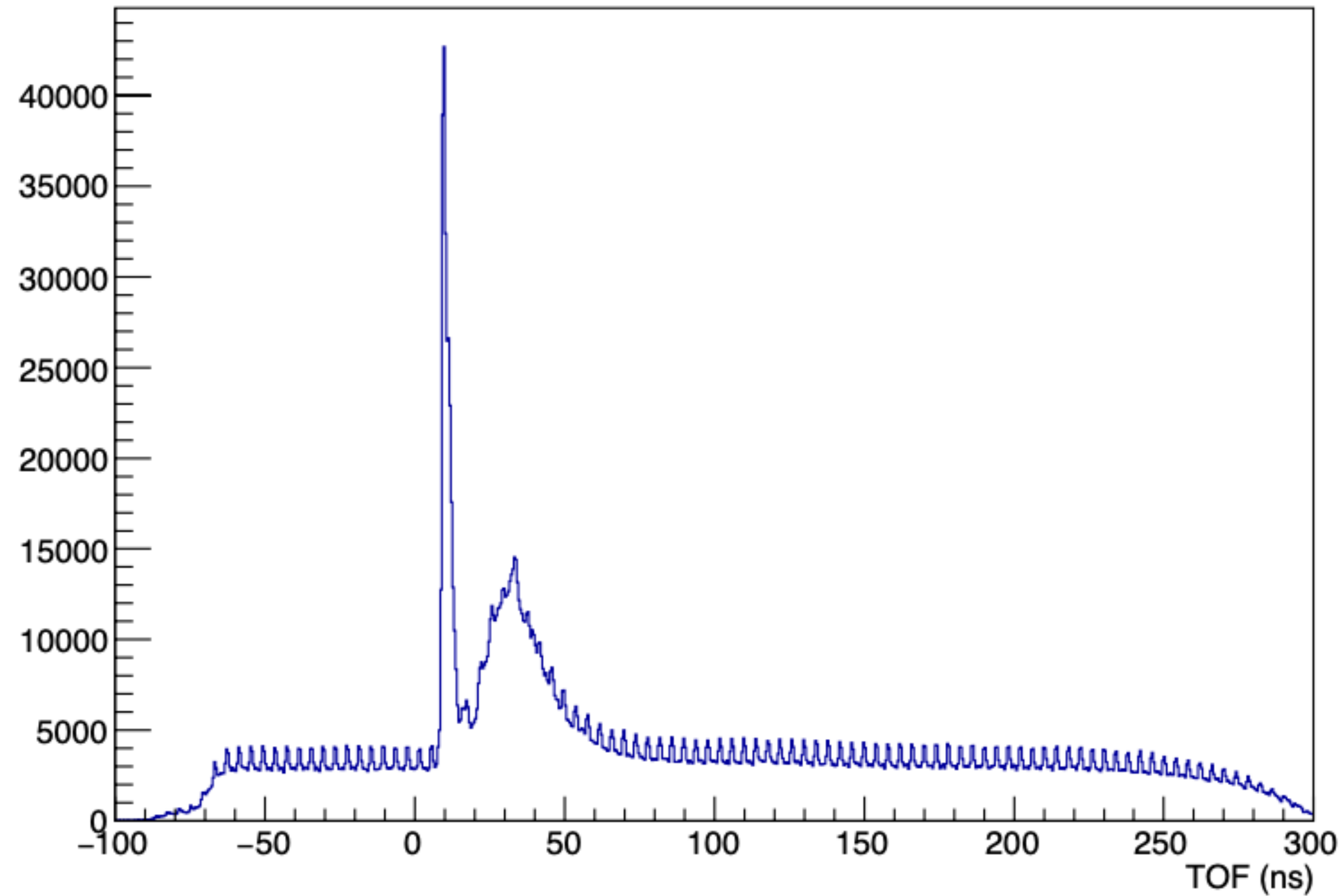


Obtain photon peak with width $\sigma \sim 294$ ps, which matches design resolution



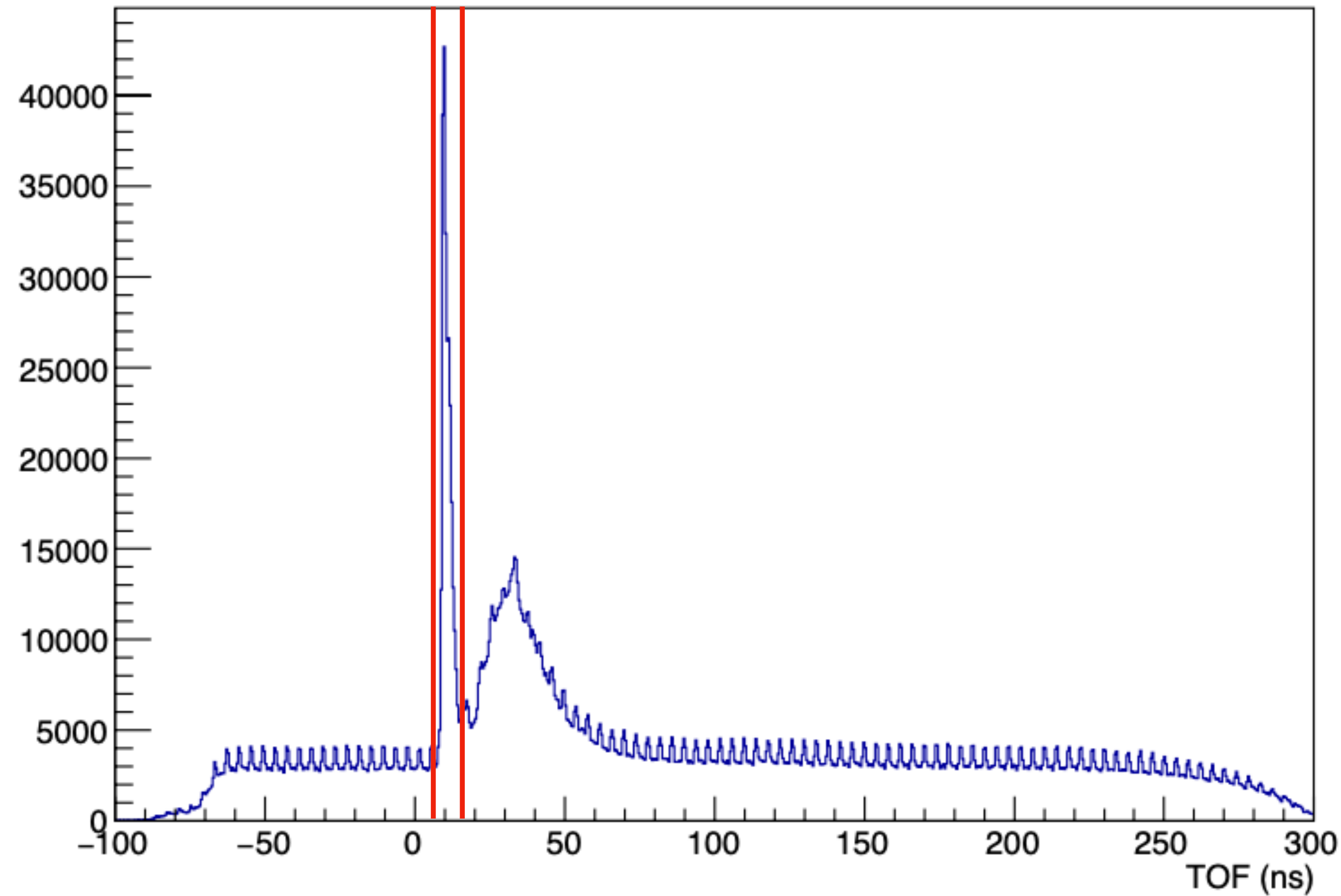
See the NIM paper: E.P Segarra et al., NIM-A 978, 164356 (2020), [arXiv:2004.10339](https://arxiv.org/abs/2004.10339)

After Calibrations and Neutron Reconstruction...



Key Features:

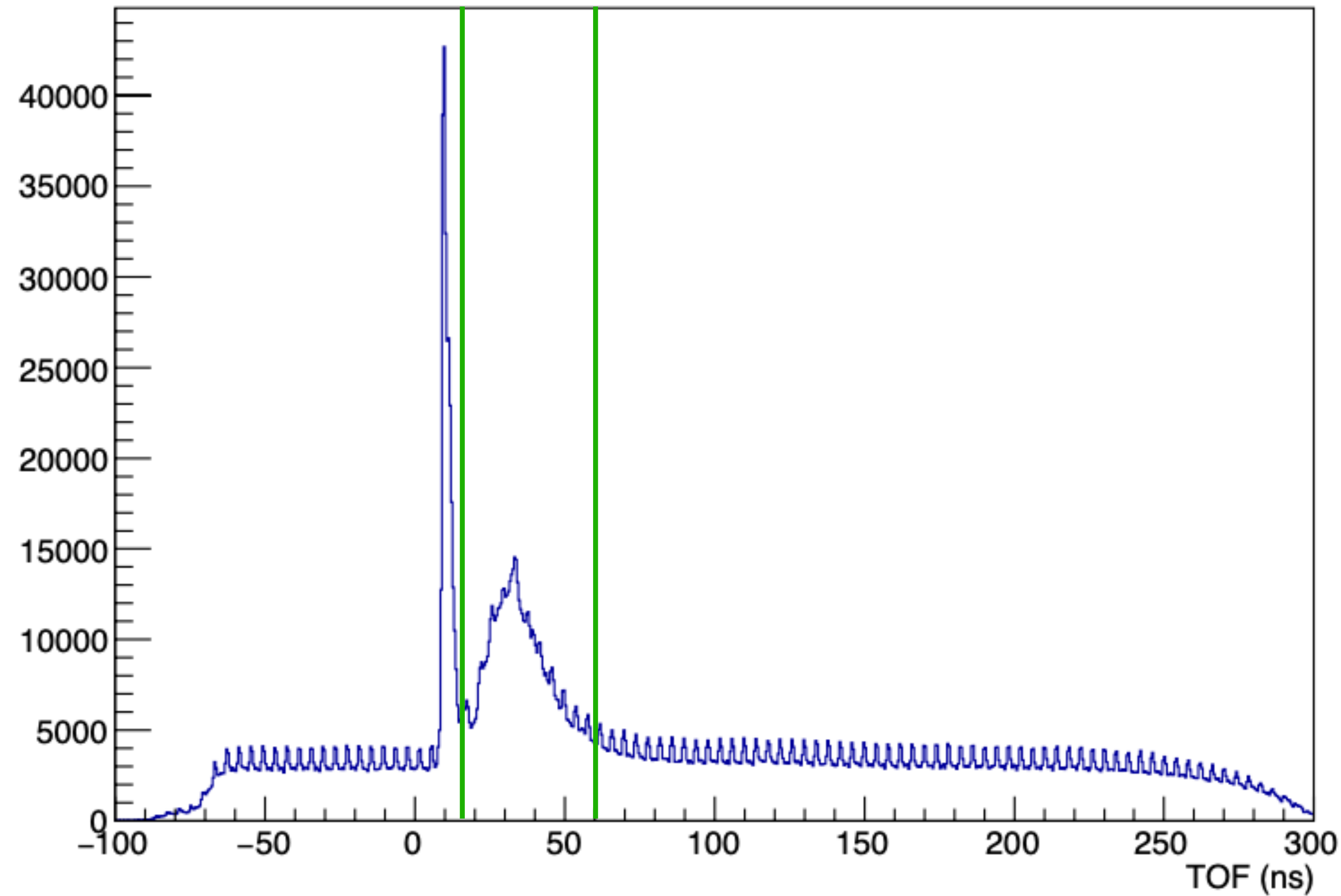
After Calibrations and Neutron Reconstruction...



Key Features:

Photon peak ($10 < \text{ToF} < 16$ [ns])

After Calibrations and Neutron Reconstruction...

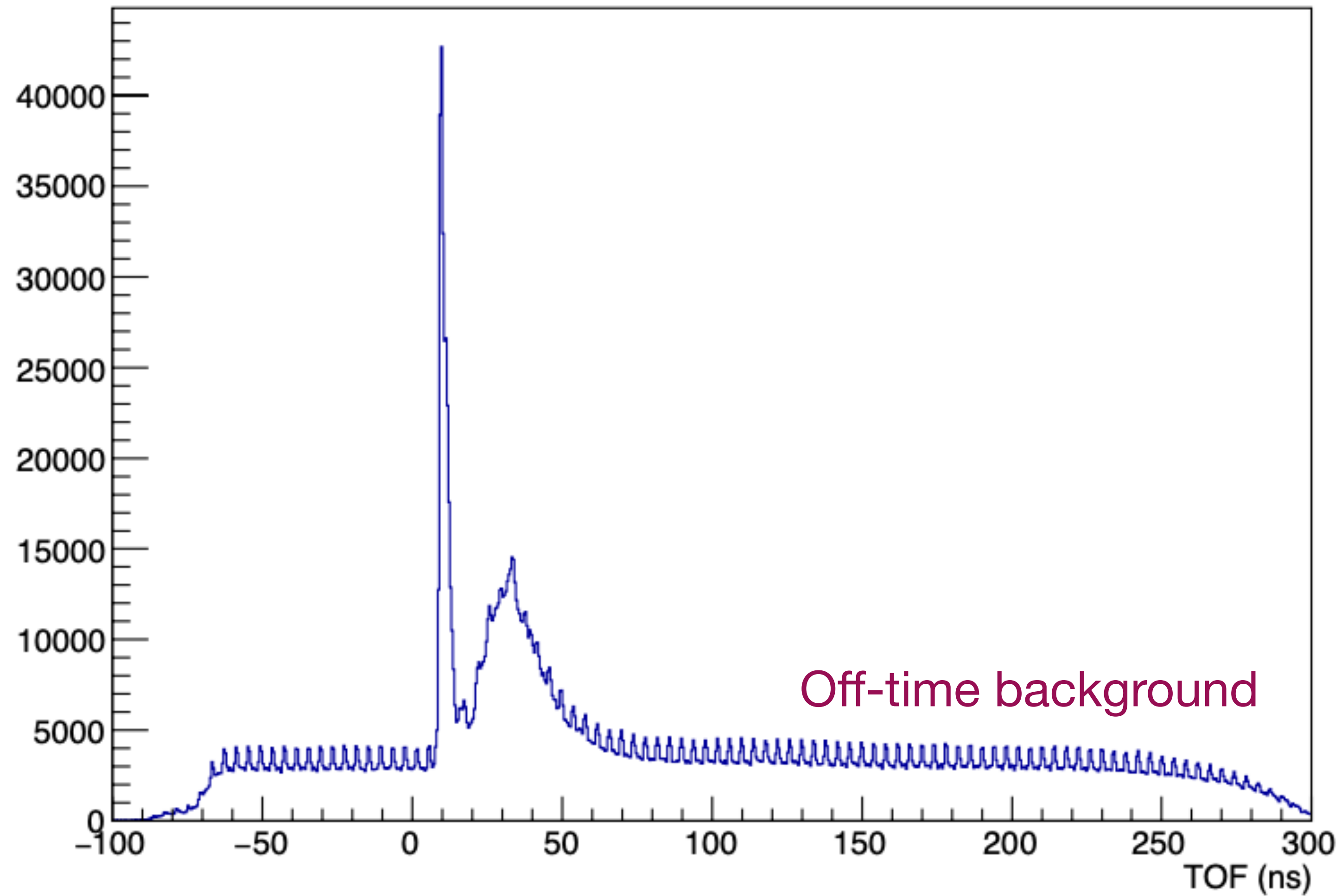


Key Features:

Photon peak ($10 < \text{ToF} < 16$ [ns])

Neutron peak ($16 < \text{ToF} < 60$ [ns])

After Calibrations and Neutron Reconstruction...



Key Features:

Photon peak ($10 < \text{ToF} < 16$ [ns])

Neutron peak ($16 < \text{ToF} < 60$ [ns])

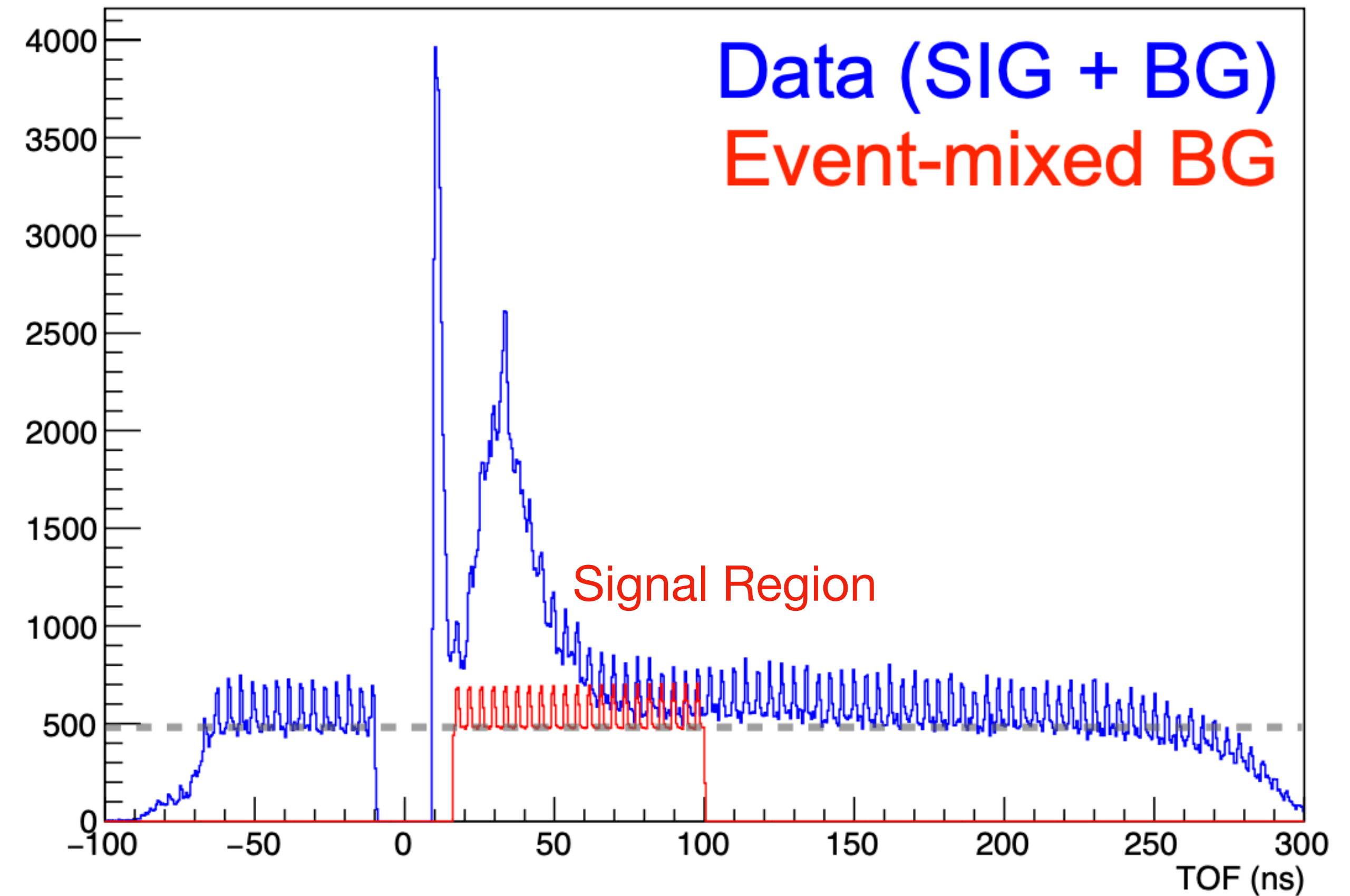
Off-time background

Off-time Neutron Background Subtraction

Event mixing procedure

1. Select neutrons from off-time region ($-60 < \text{ToF} < -16$ ns)
2. Adjust neutron timing to be in signal region ($16 < \text{ToF} < 100$ ns) in 4 ns increments
3. Pair neutron with inclusive electron to create pseudo event
4. Repeat with new electrons
5. Repeat with same neutron shifted by 4 ns

Negligible statistical uncertainty!



Tagged DIS with BAND at RG-B

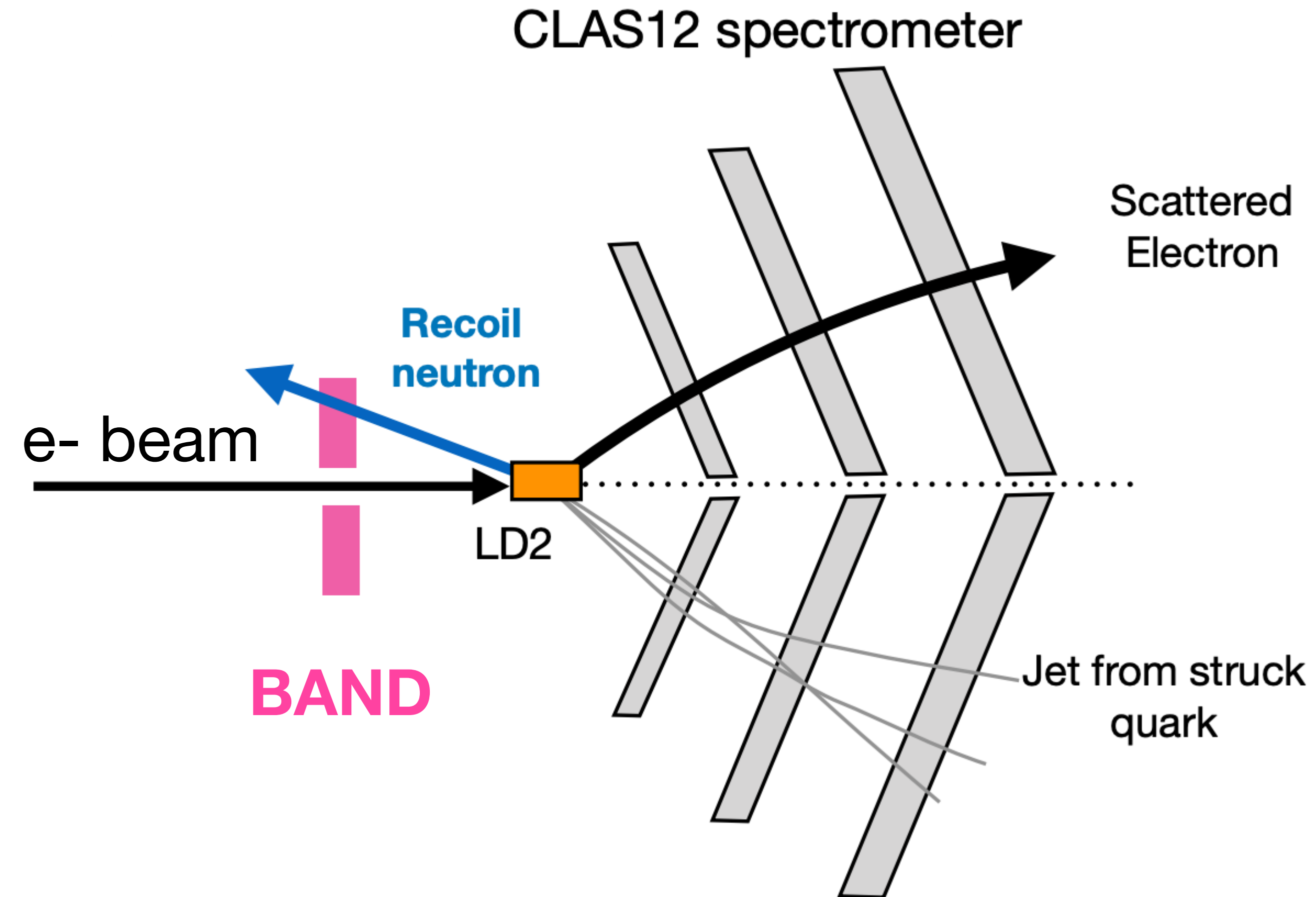
RG-B: $d(e, e'n)$ at 10.2-10.6 GeV

Electron:

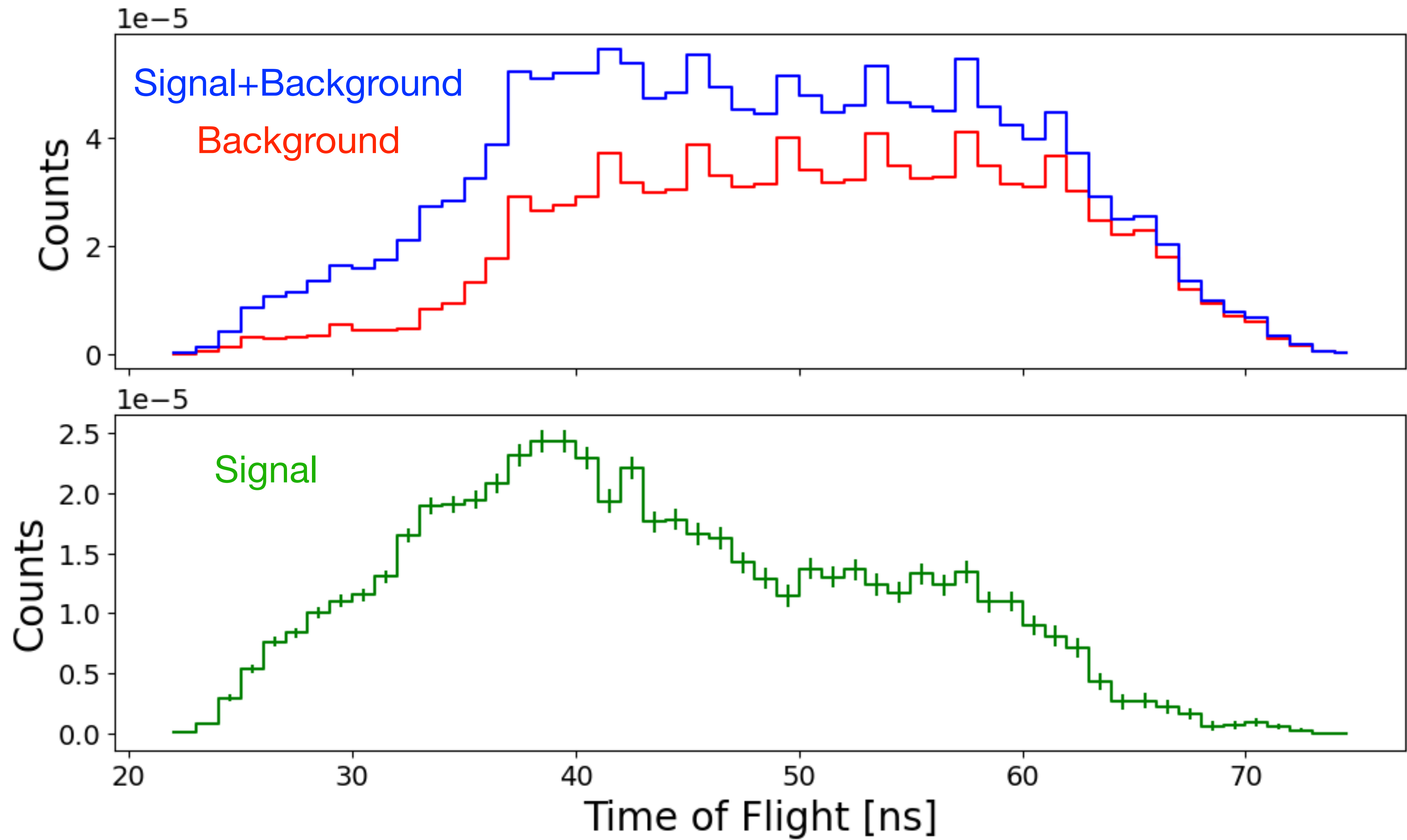
$$\begin{aligned} Q^2 &> 2 \text{ GeV}^2 \\ W &> 2 \text{ GeV} \\ p_e &> 3 \text{ GeV}/c \end{aligned}$$

Neutron:

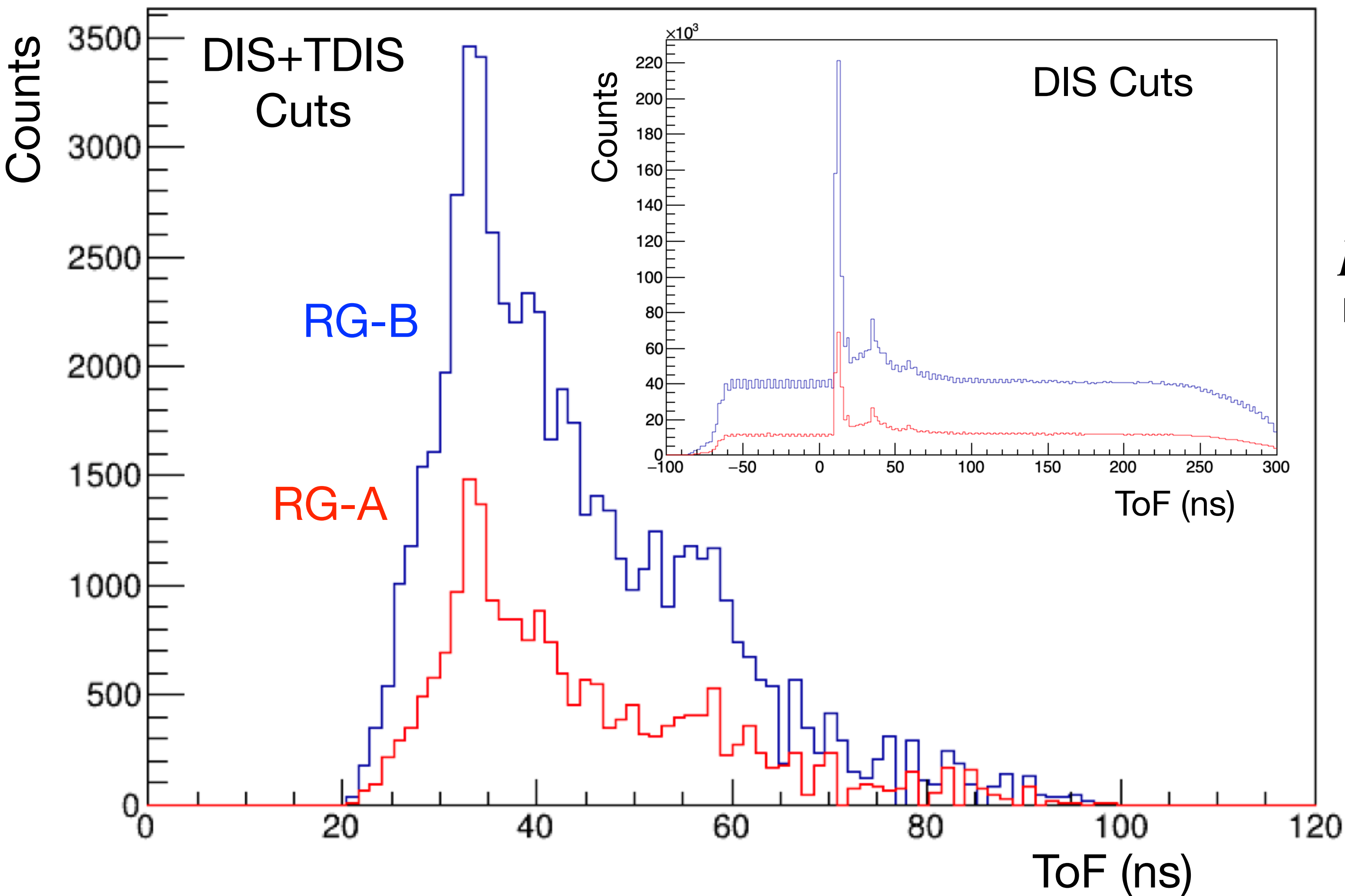
$$\begin{aligned} W' &> 1.8 \text{ GeV} \\ .2 < p_n < .6 \text{ GeV}/c \\ E_{dep} &> 5 \text{ MeVee} \end{aligned}$$



After TDIS Cuts...



Non-TDIS Background Subtraction



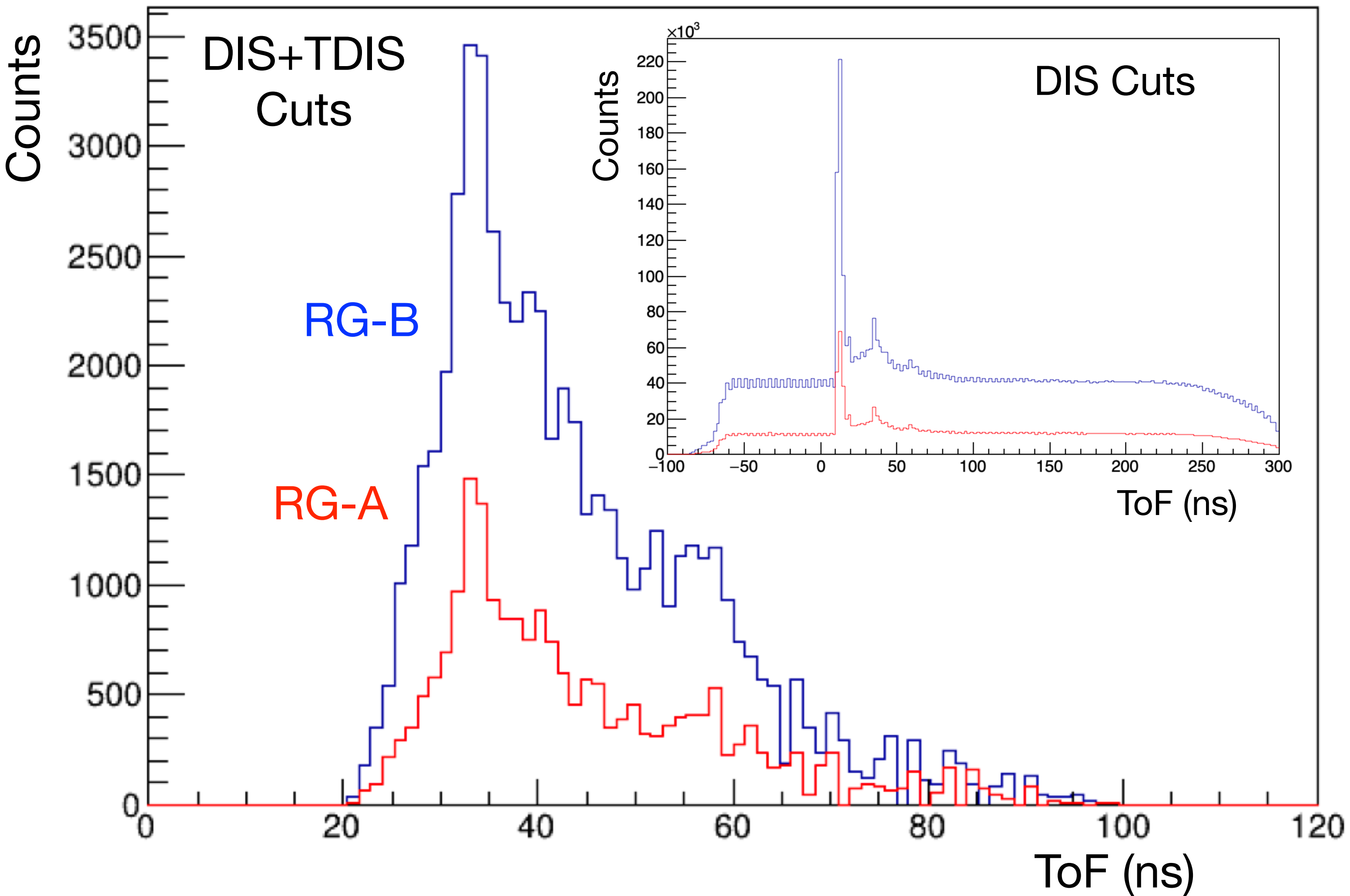
$p(e, e'n)$ data (RG-A) shows a non-negligible, non-TDIS background in BAND

Natalie Wright



Non-TDIS Background Subtraction

What we know:



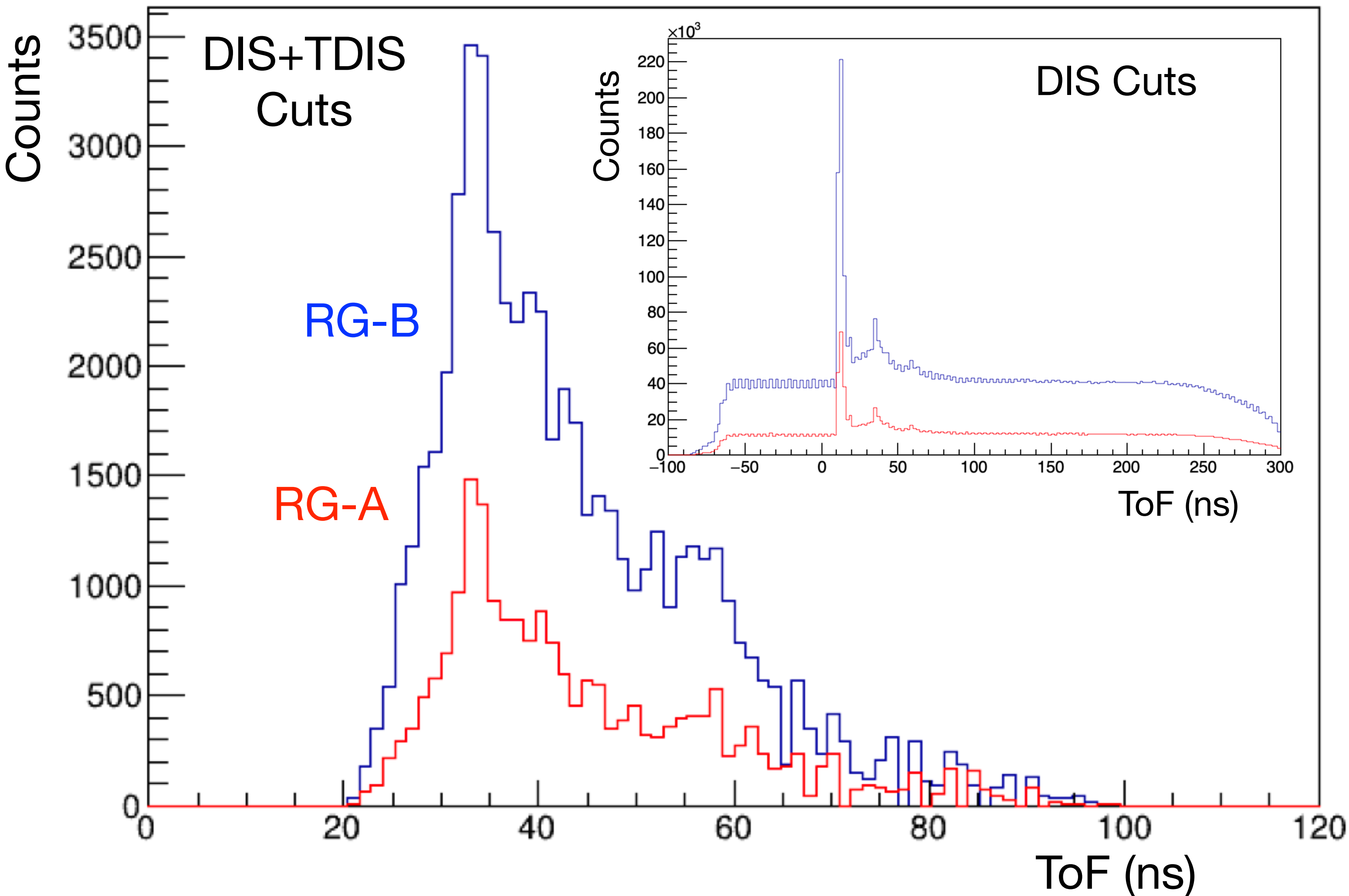
Note: Distributions are charge normalized



Non-TDIS Background Subtraction

What we know:

- Background is prompt and associated with a DIS electron



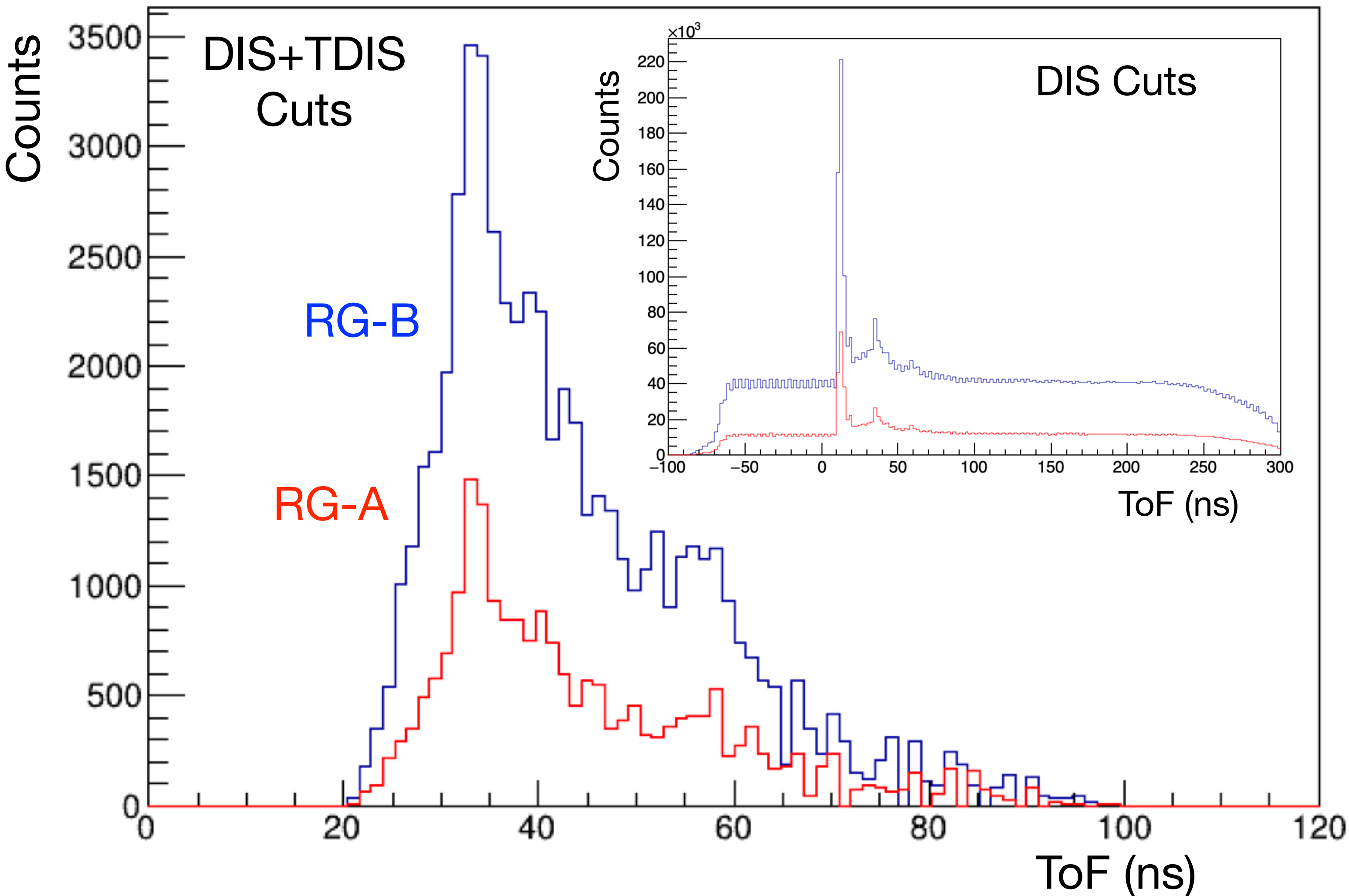
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Non-TDIS Background Subtraction

What we know:

- Background is prompt and associated with a DIS electron
- Background is NOT a prompt neutron
 - $p(e, e'n_{back})$ kinematically forbidden



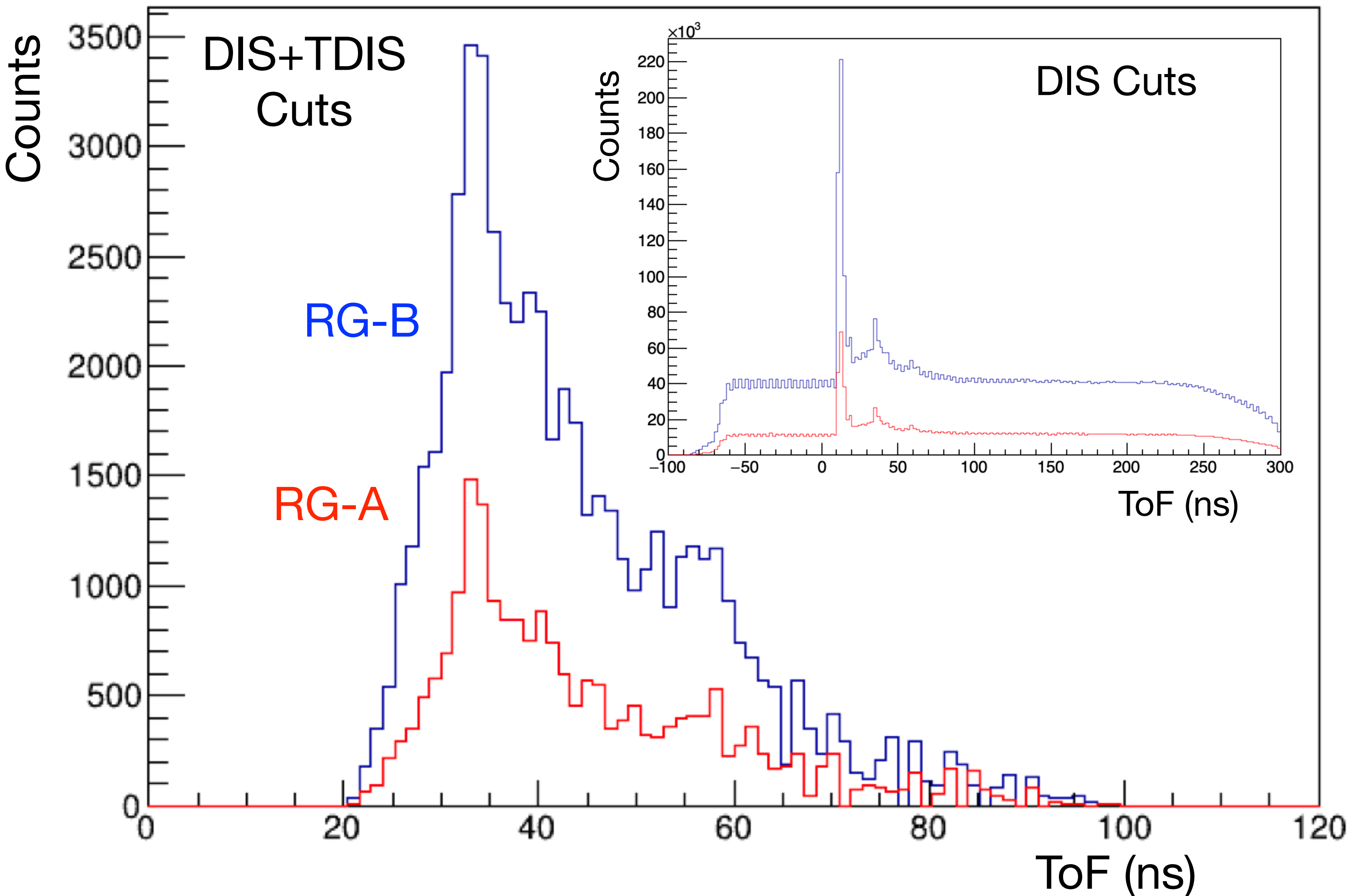
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Natalie Wright



Non-TDIS Background Subtraction

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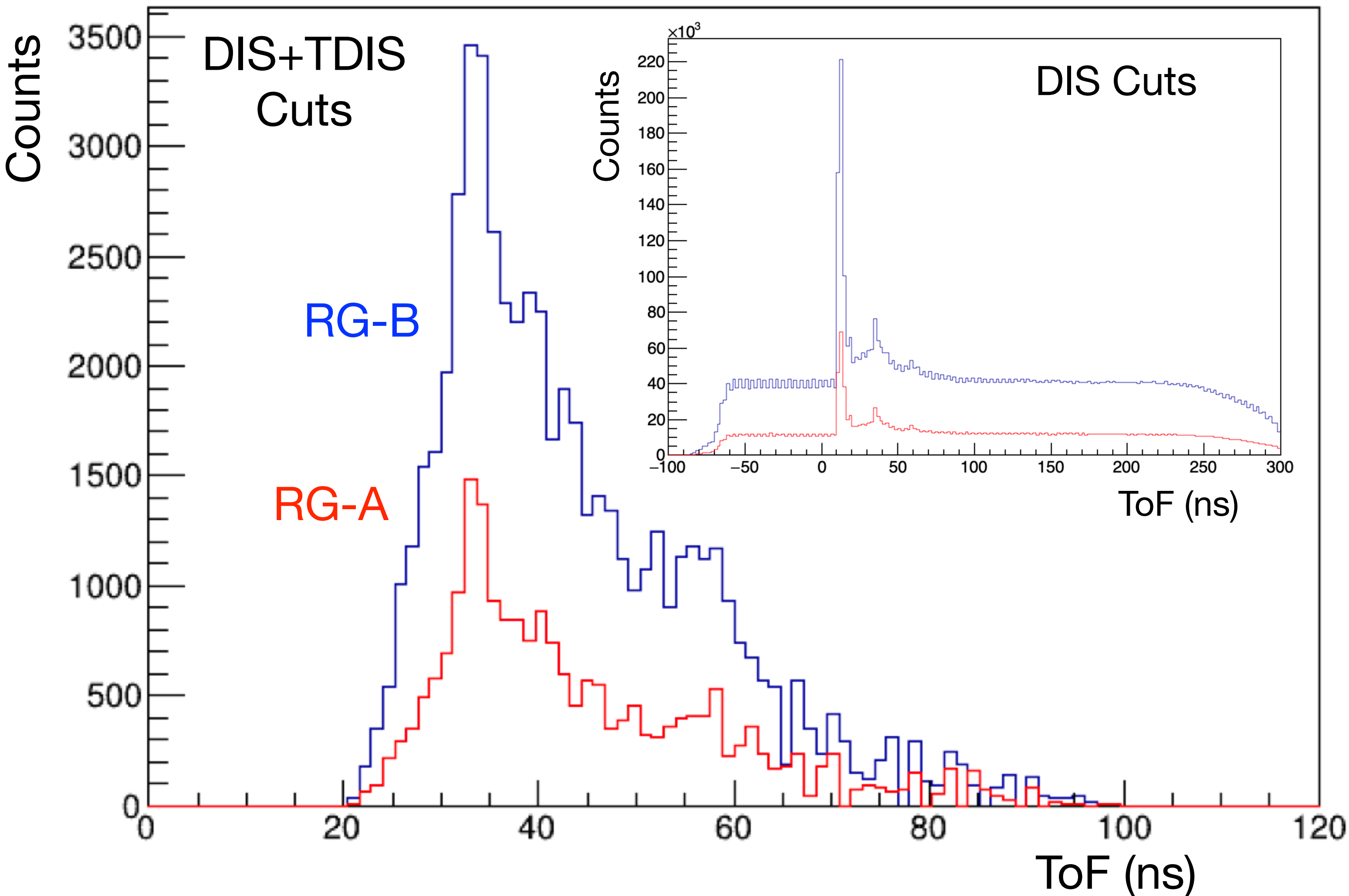
- Background is prompt and associated with a DIS electron
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- Likely due to late arriving γ from forward-going particles hitting CLAS12 structure
 - Misidentified due to arrival time

Natalie Wright



Non-TDIS Background Subtraction

What we know:



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- Background can either come from scattering off proton or neutron

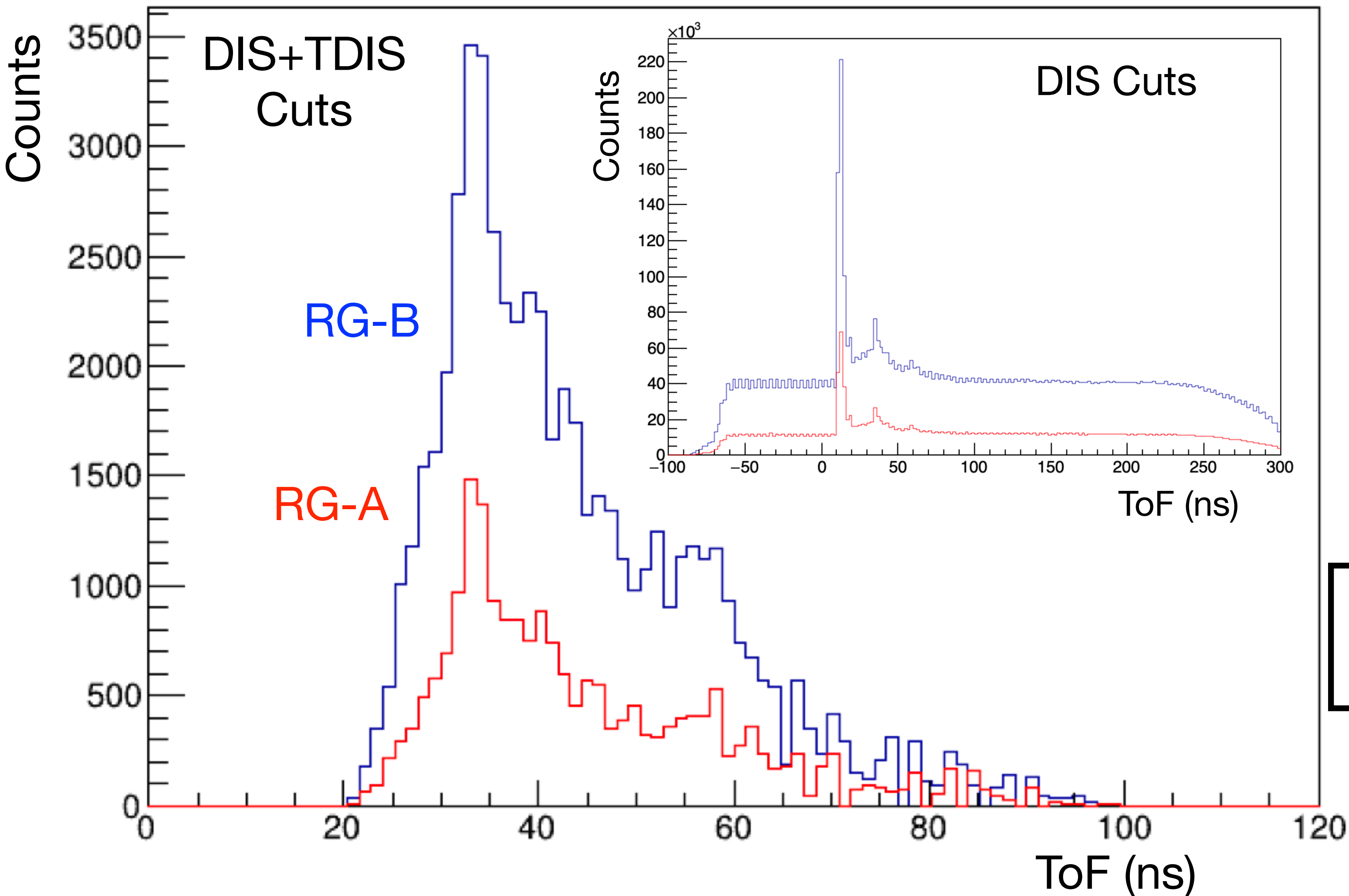
Natalie Wright



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Non-TDIS Background Subtraction

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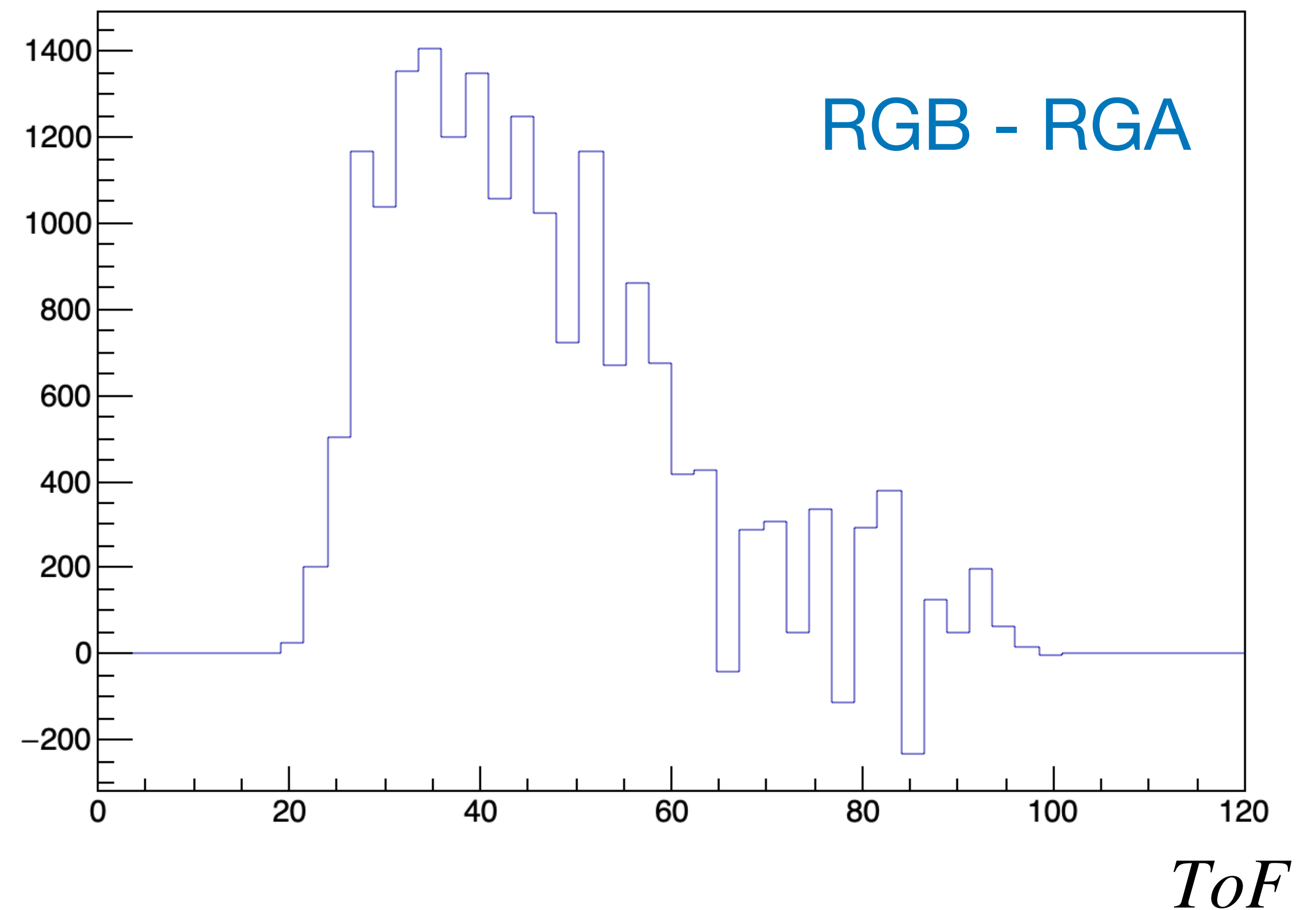
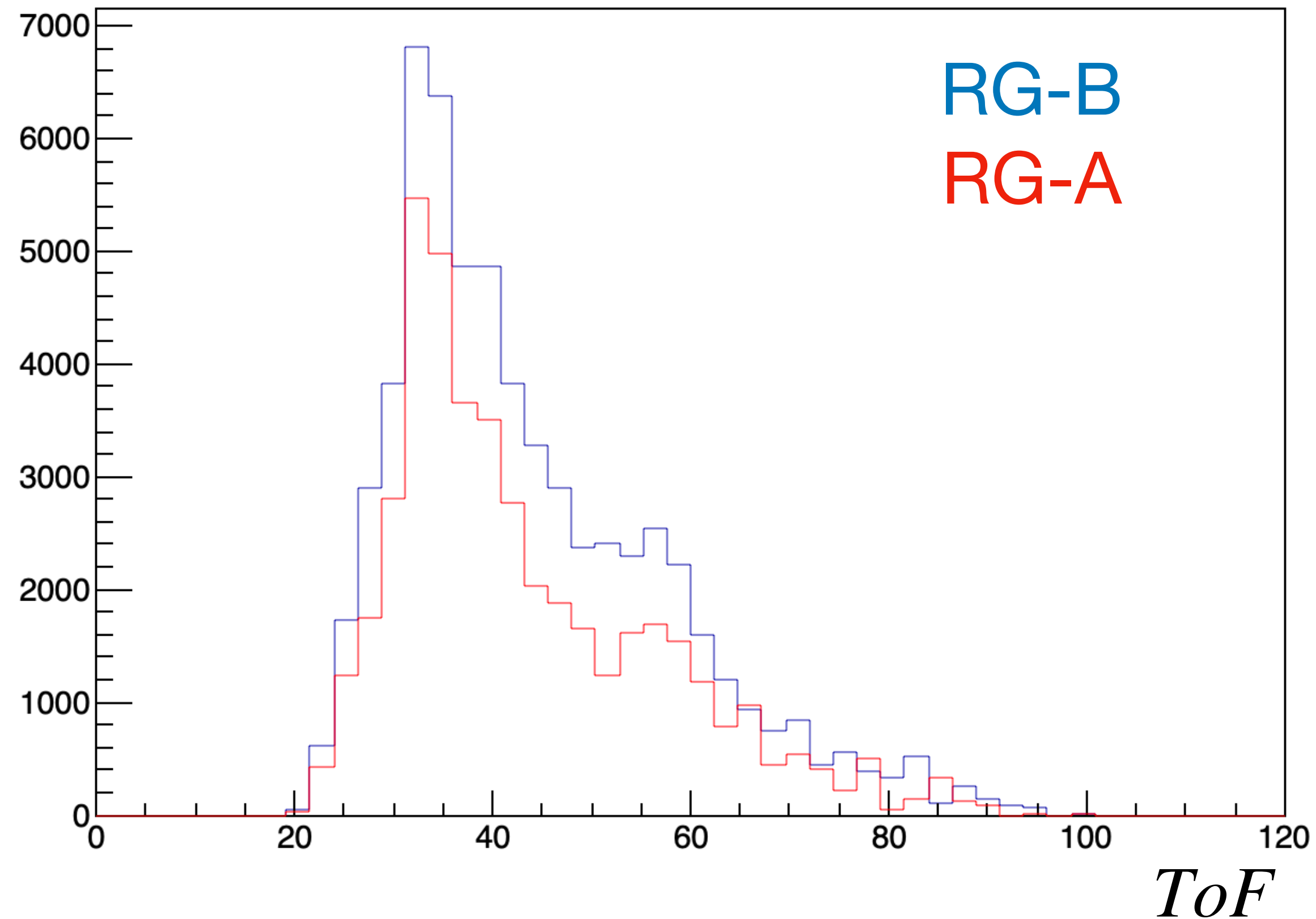
Natalie Wright



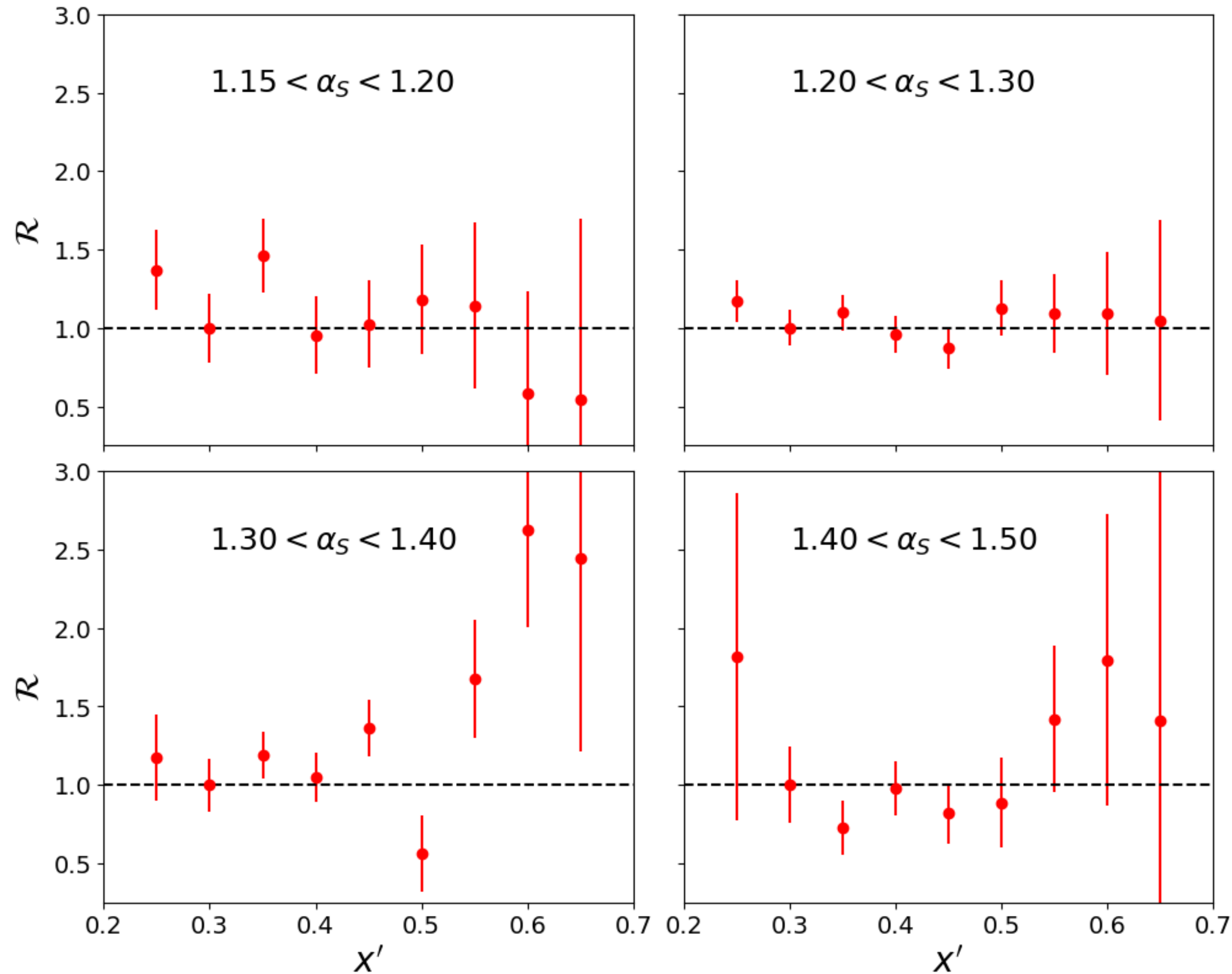
Scaling $p(e, e' \text{ neutral})$ to Deuterium Target

Scaled by inclusive electron yield

$$Y_e(\text{RG-B})/Y_e(\text{RG-A}) \approx F_2^d/F_2^p$$



Results at $E_{beam} = 10.2$ GeV!



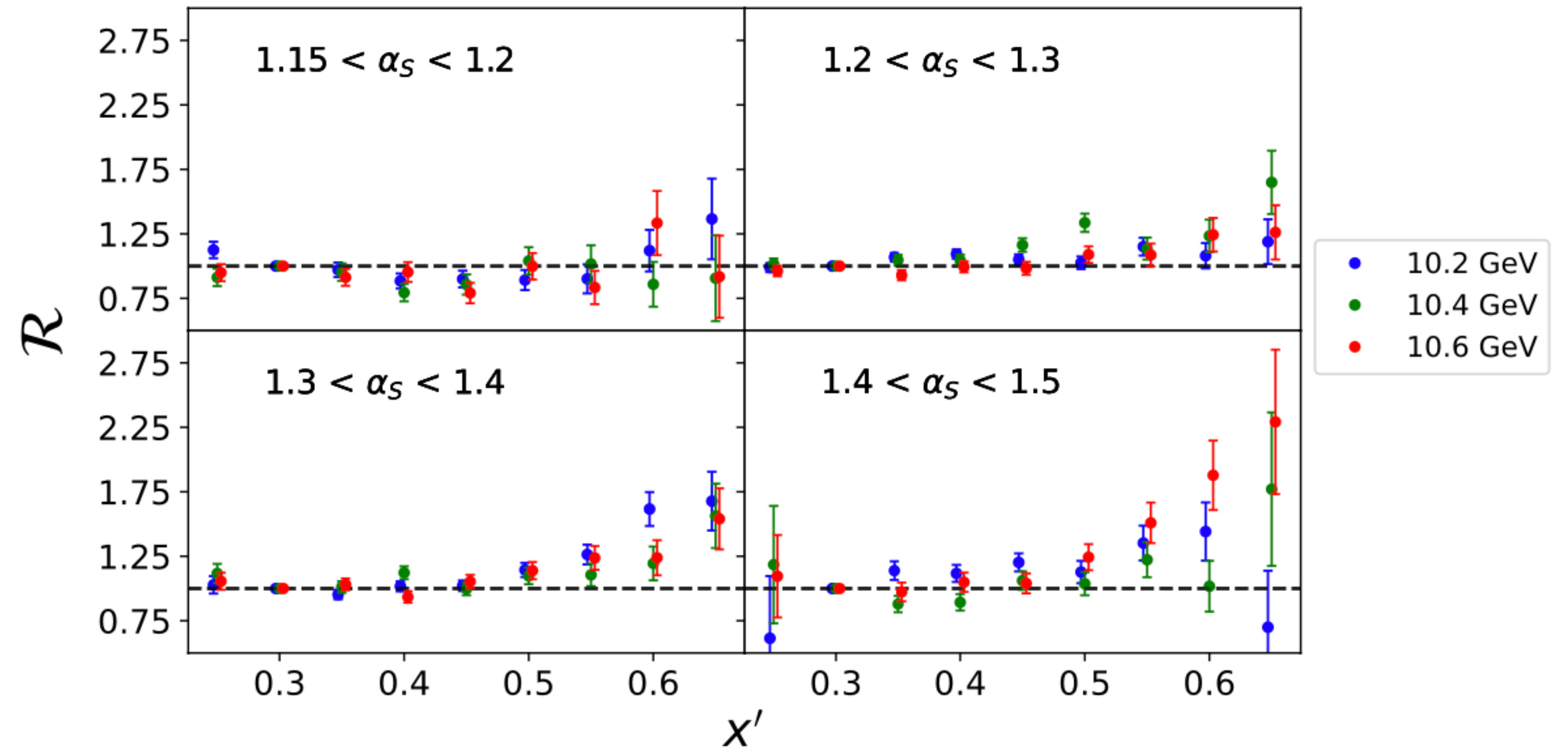
$\mathcal{R}$ appears to be modified at larger α_S and x' !

Systematics

- Stability with beam energy
- Definition of x'
- BAND efficiency
- Finite Q^2 effects
- Neutron E_{dep} cut

Systematics

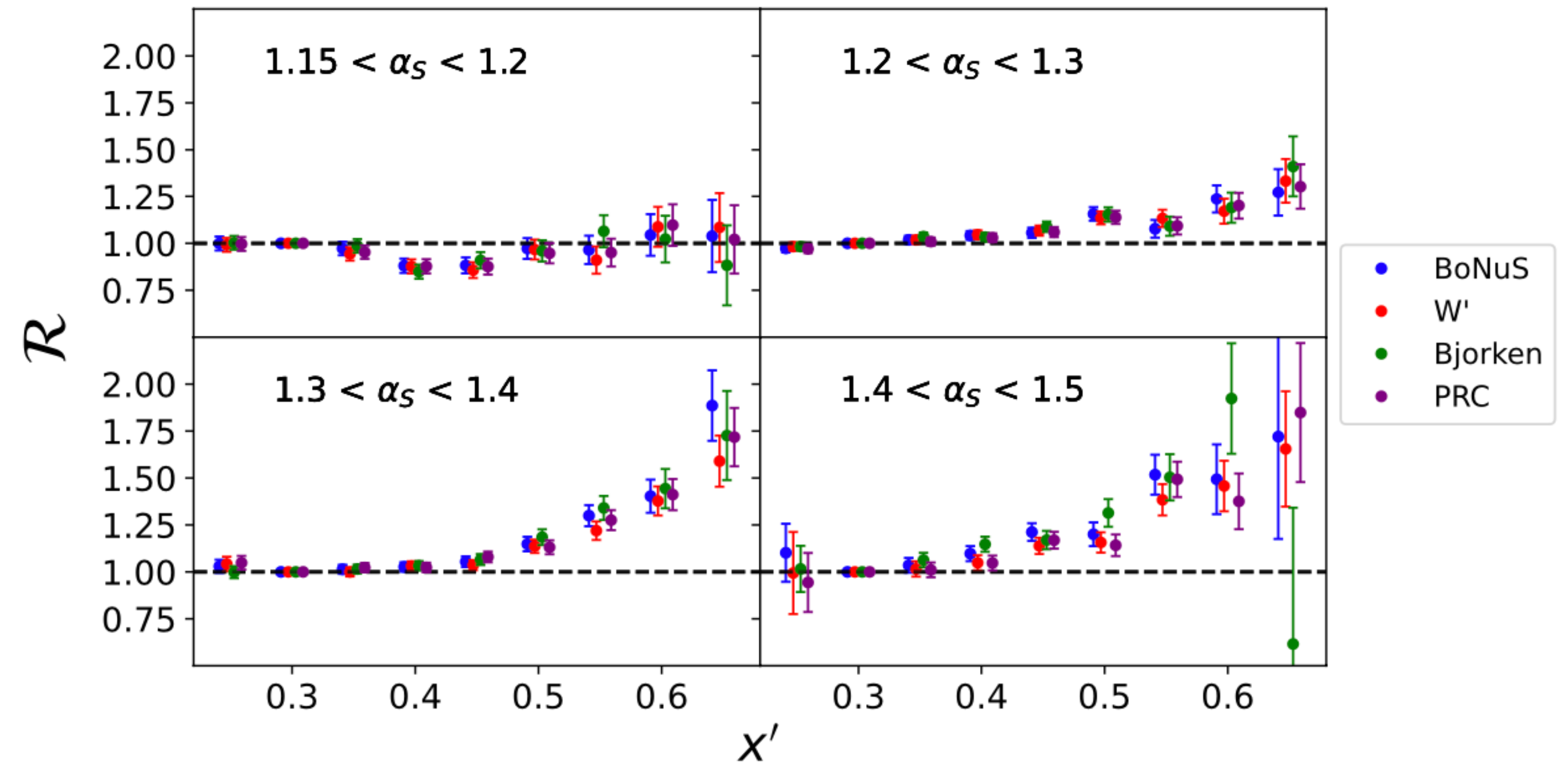
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Note: Systematic tests done before RG-A background subtraction

Systematics

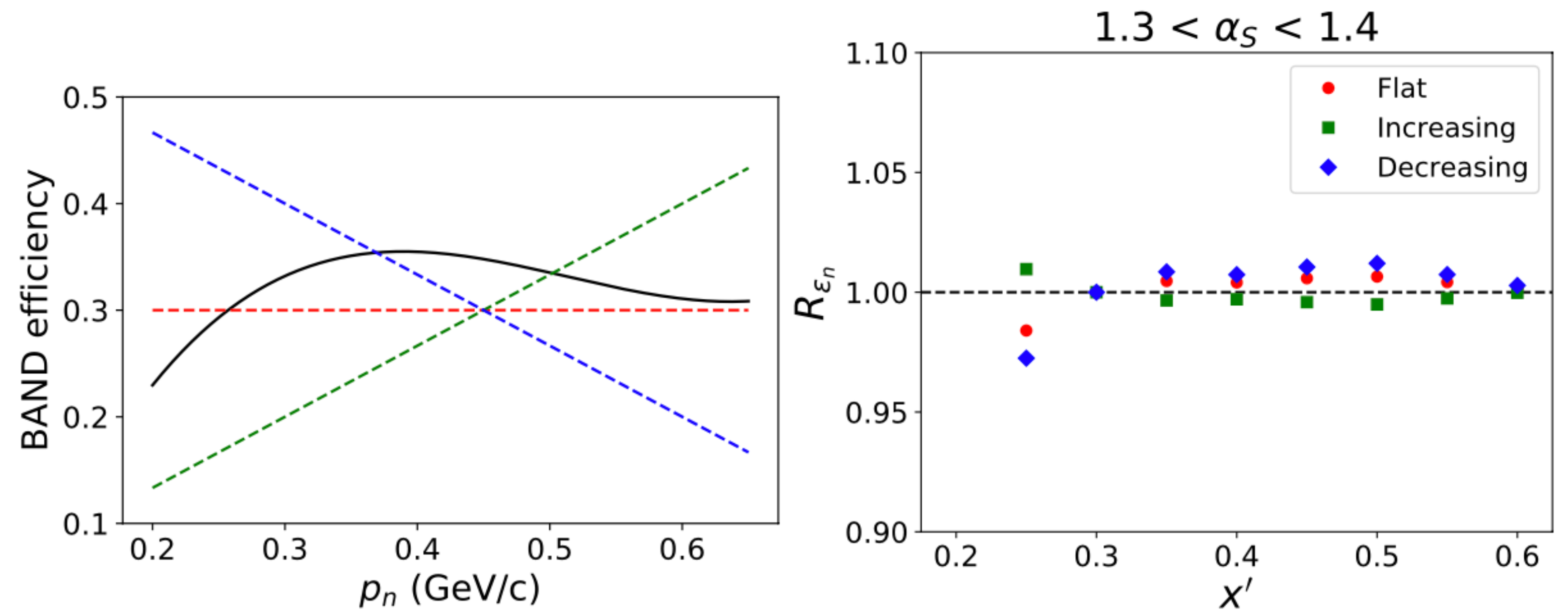
- Stability with beam energy
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Systematics

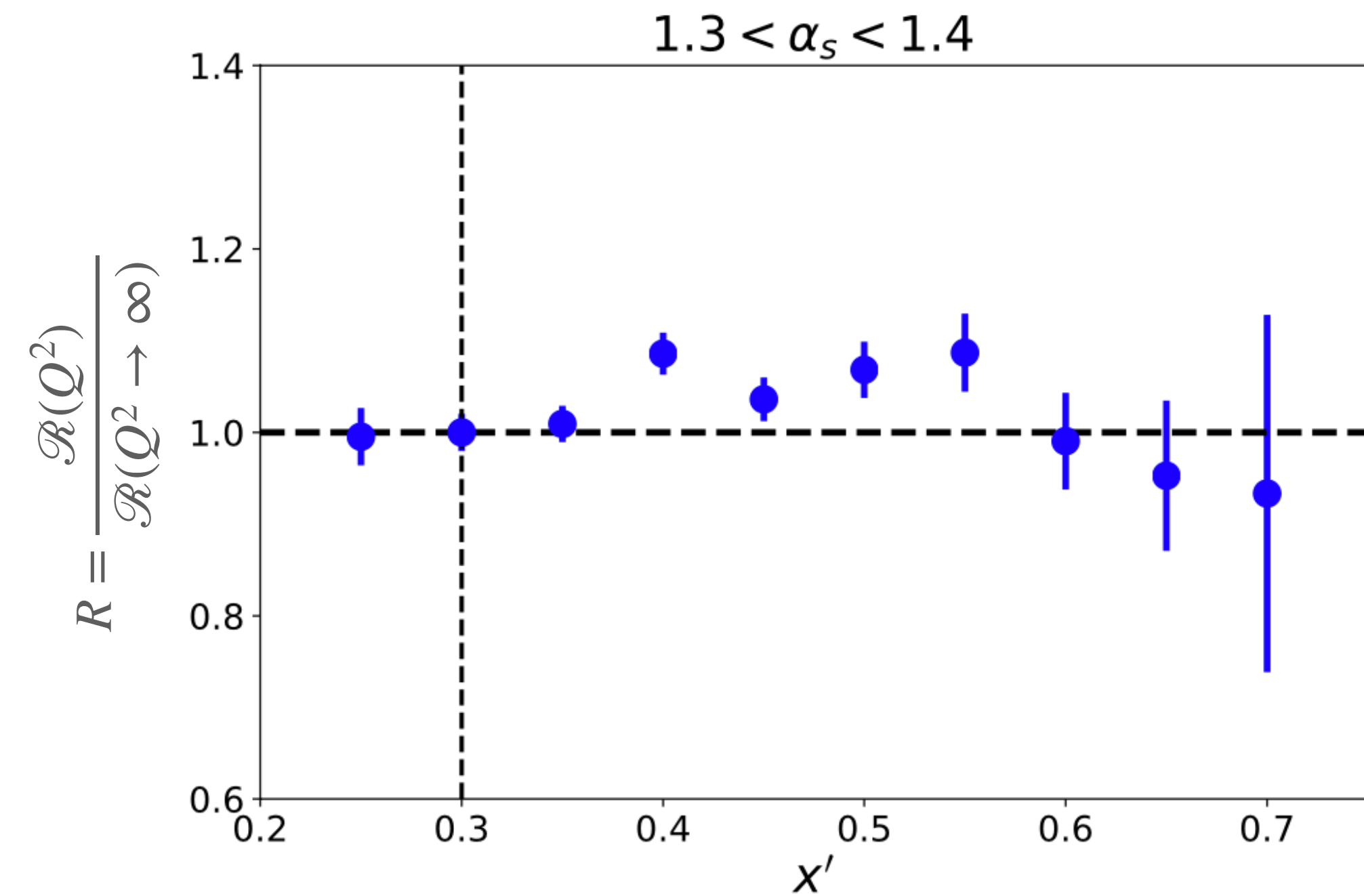
- Stability with beam energy
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- **BAND efficiency**
- Finite Q^2 effects
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Systematics

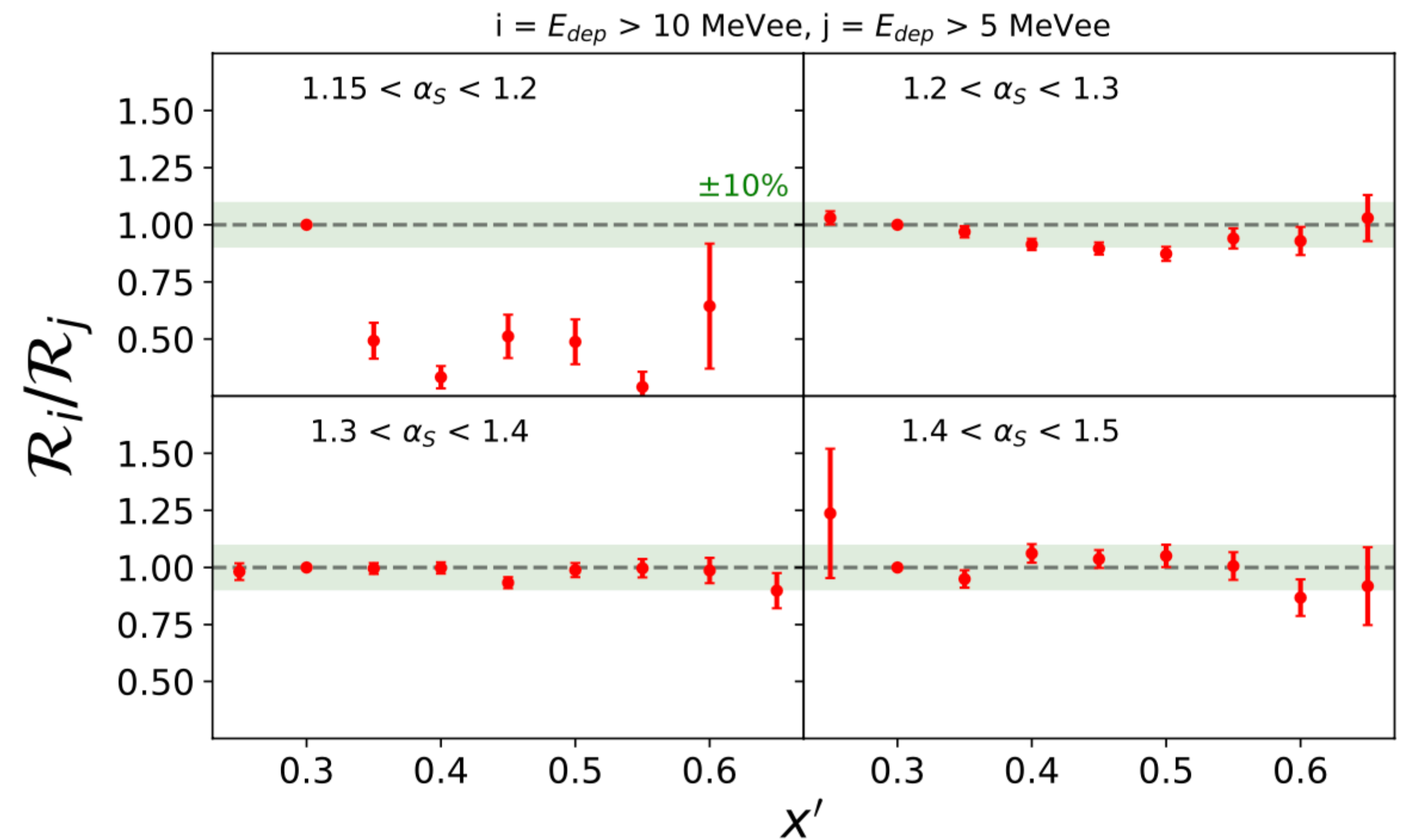
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Systematics

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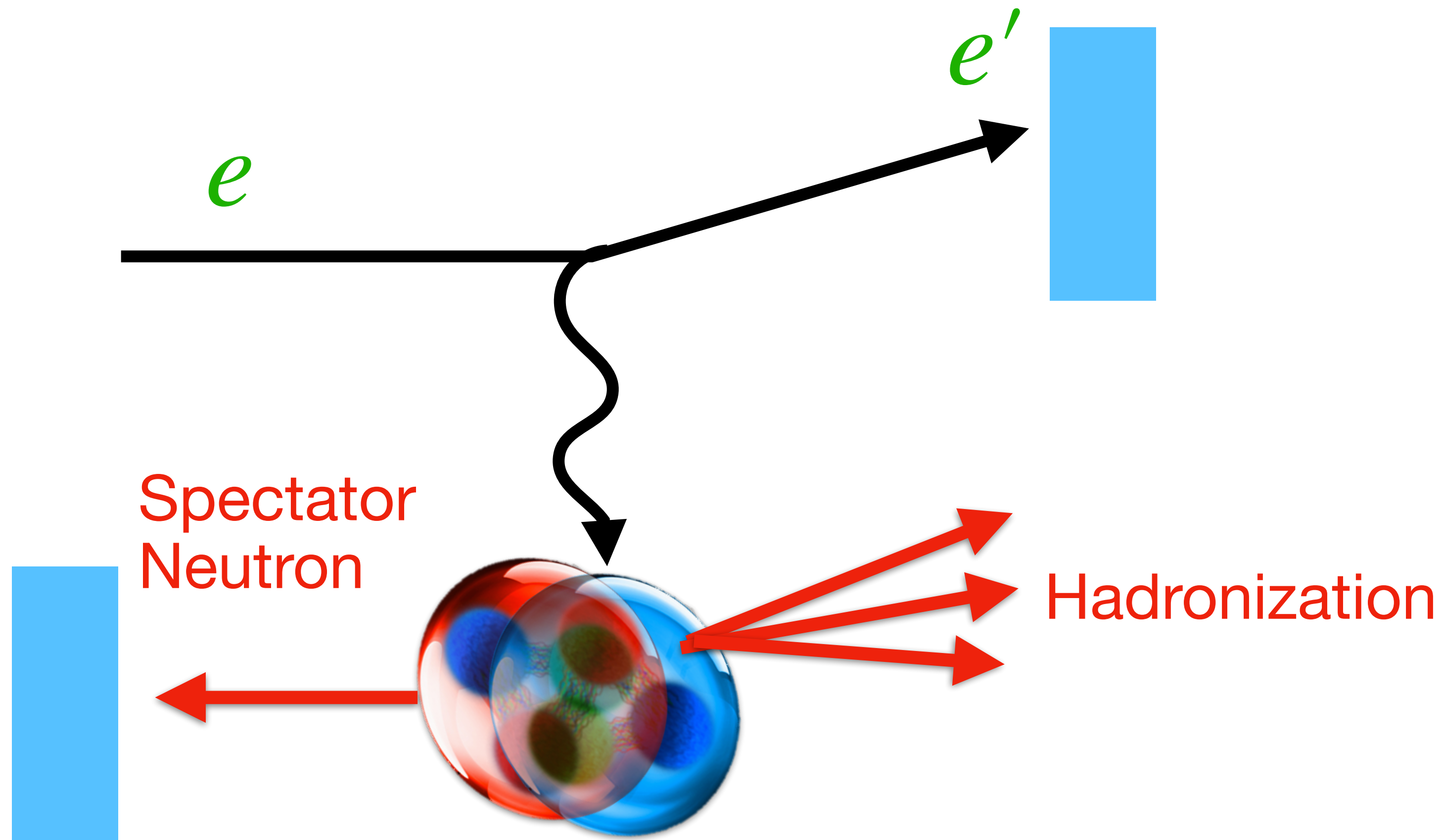
Note: Systematic tests done before RG-A background subtraction

Outlook

- Analysis note in review
 - Working to include 10.4 GeV and 10.6 GeV data in our analysis
 - Finalizing systematic uncertainties including subtraction of $p(e, e' \text{ neutral})$ background

Backup

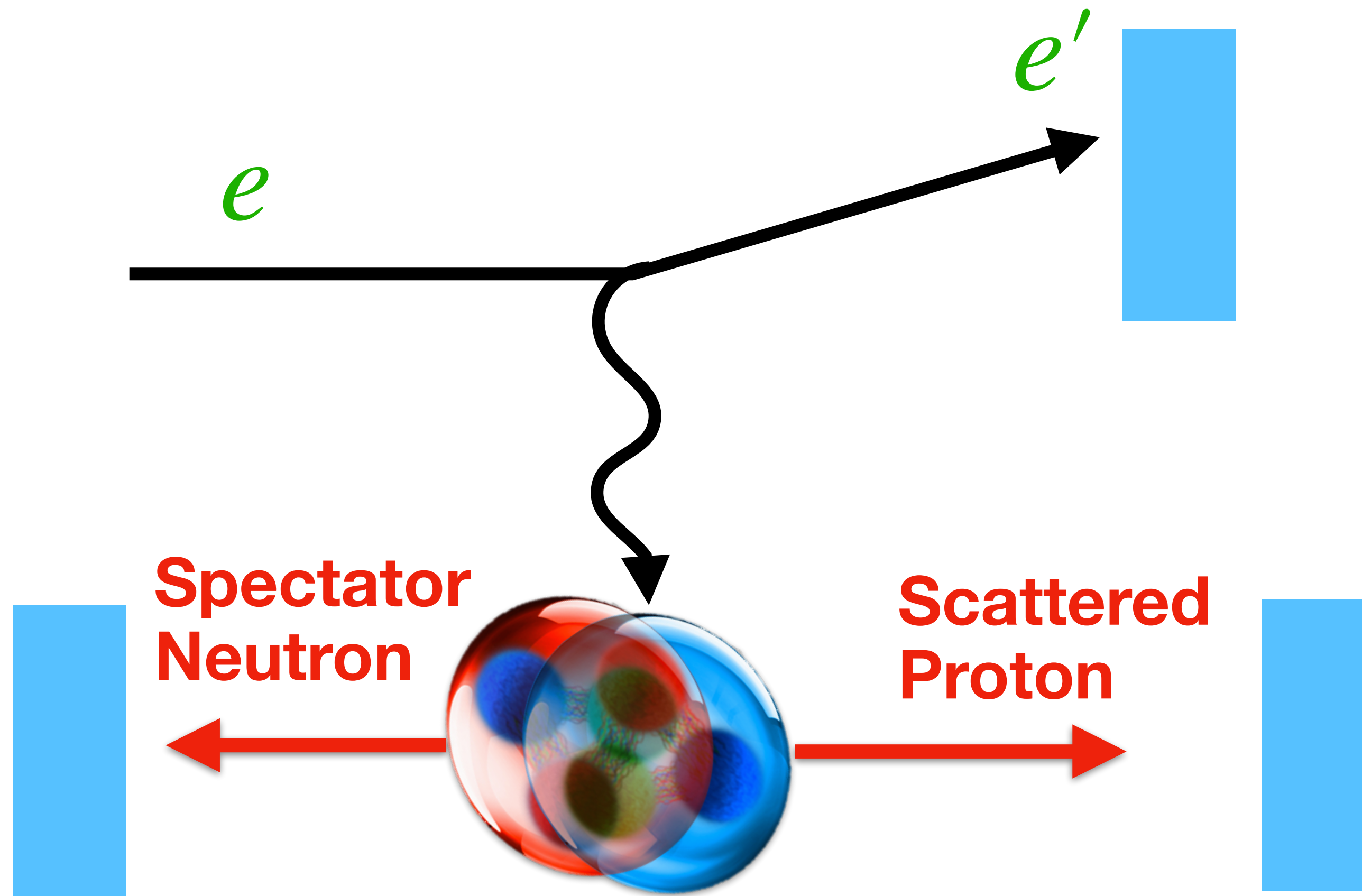
How can we confirm that we detect neutrons?



Natalie Wright



How can we confirm that we detect neutrons?

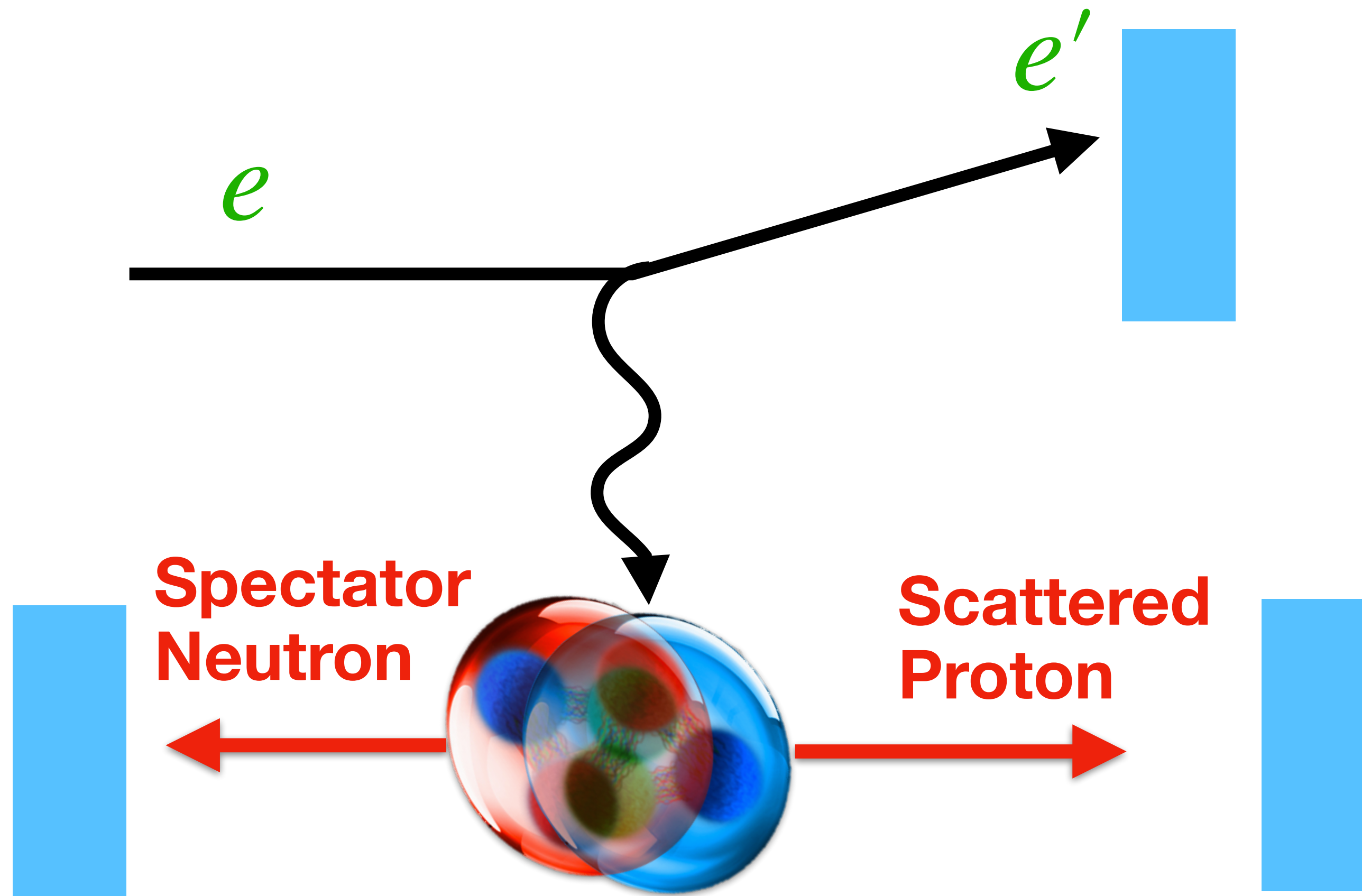


By identifying $d(e, e'pn)$ QE events (with 2GeV RG-M data), we can confirm that BAND is sensitive to neutrons

Natalie Wright



How can we confirm that we detect neutrons?

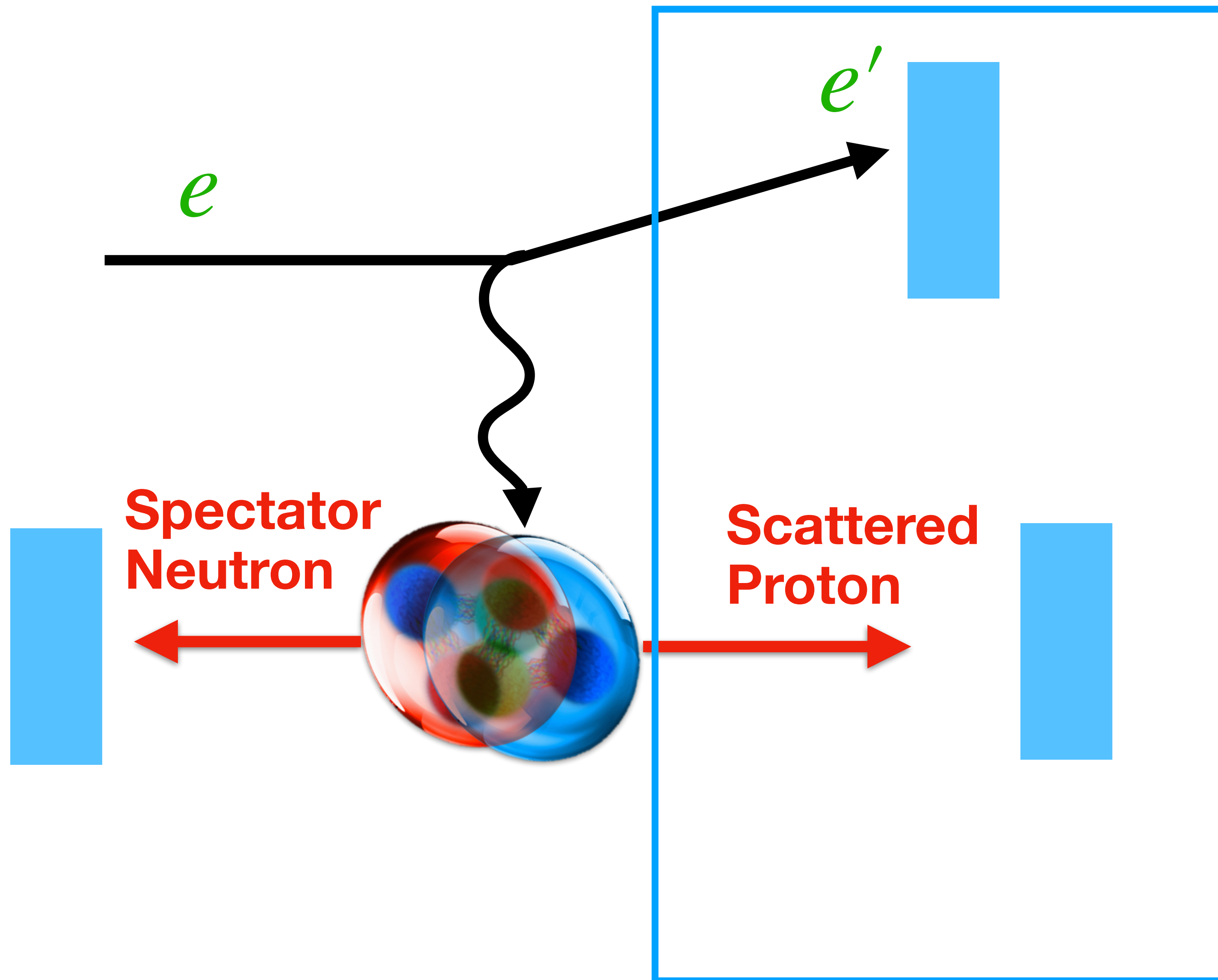


$$[W'(p)]^2 = [M_d + q - p]^2$$
$$[W'(n)]^2 = [M_d + q - n]^2$$

Natalie Wright



How can we confirm that we detect neutrons?



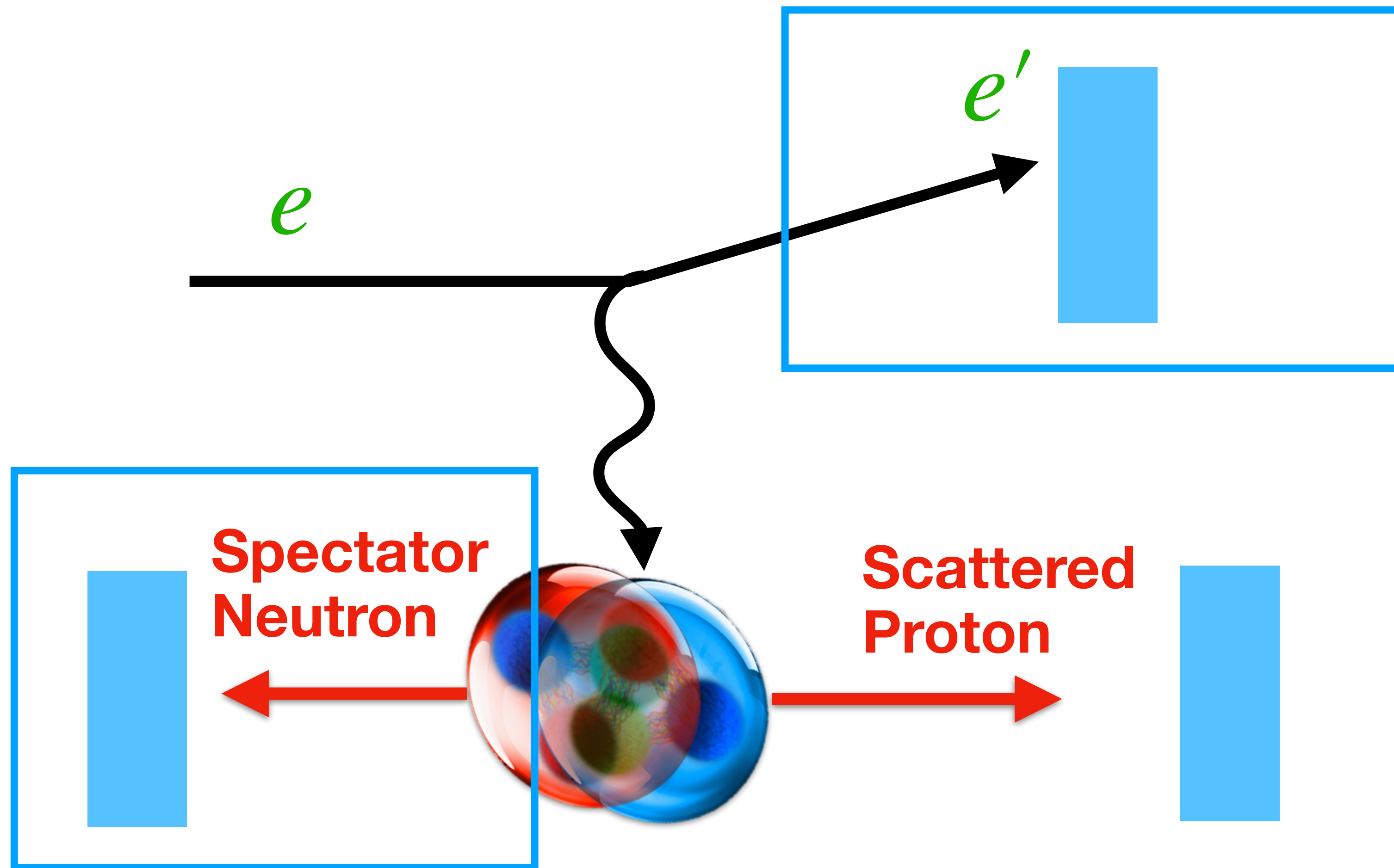
$$\begin{aligned} [W'(p)]^2 &= [M_d + q - p]^2 \\ [W'(n)]^2 &= [M_d + q - n]^2 \end{aligned}$$

In a QE interaction, $W'(p)$ is the invariant mass of the spectator

Natalie Wright



How can we confirm that we detect neutrons?



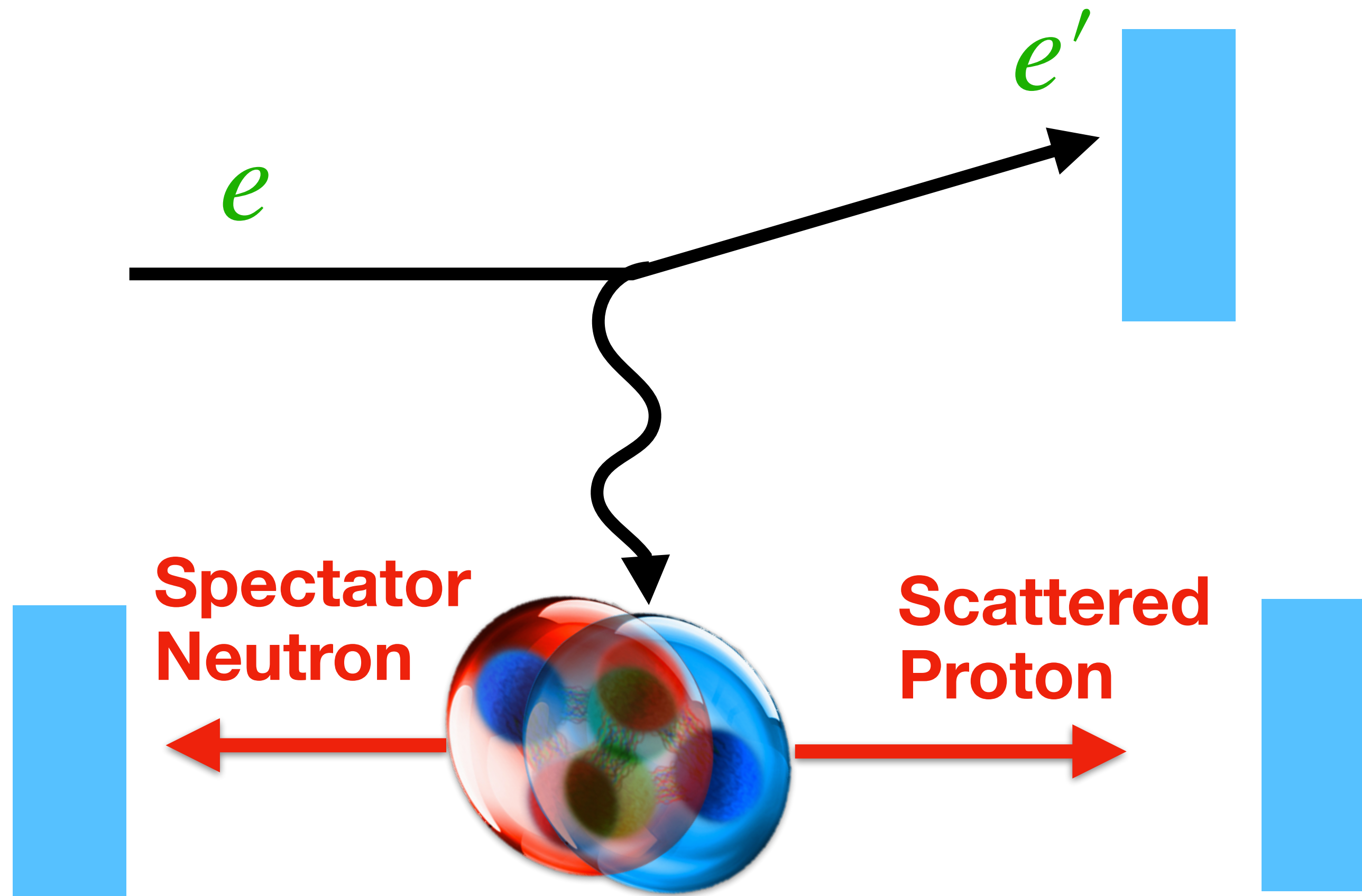
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In a QE interaction, $W'(n)$ is the invariant mass of the struck particle

Natalie Wright



How can we confirm that we detect neutrons?



$$[W'(p)]^2 = [M_d + q - p]^2$$
$$[W'(n)]^2 = [M_d + q - n]^2$$

If BAND is sensitive to neutrons, there should be corresponding $W'(n)$ and $W'(p)$ QE peaks at $W'(n) \approx W'(p) \approx 938 \text{ MeV}$

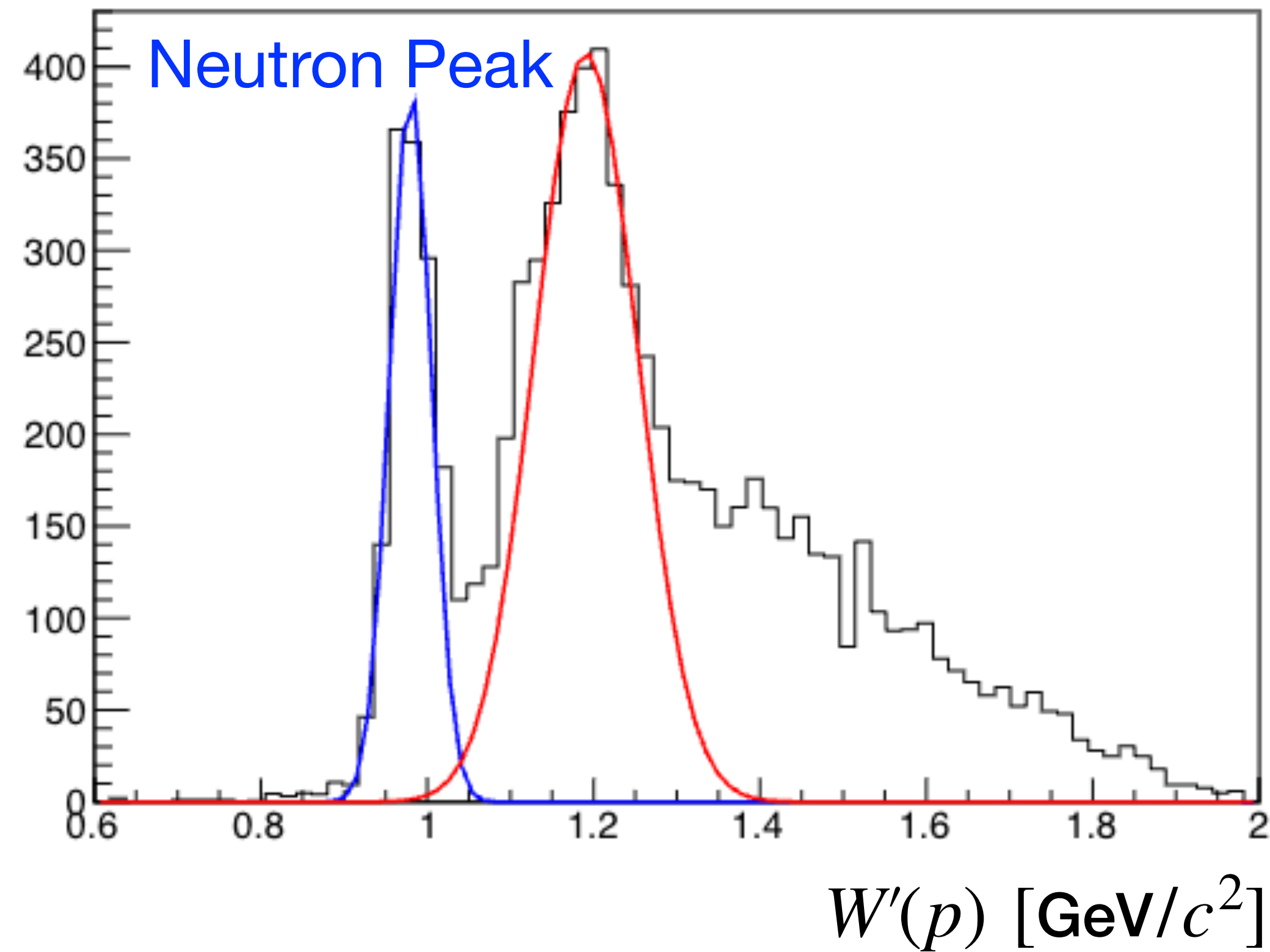
Natalie Wright



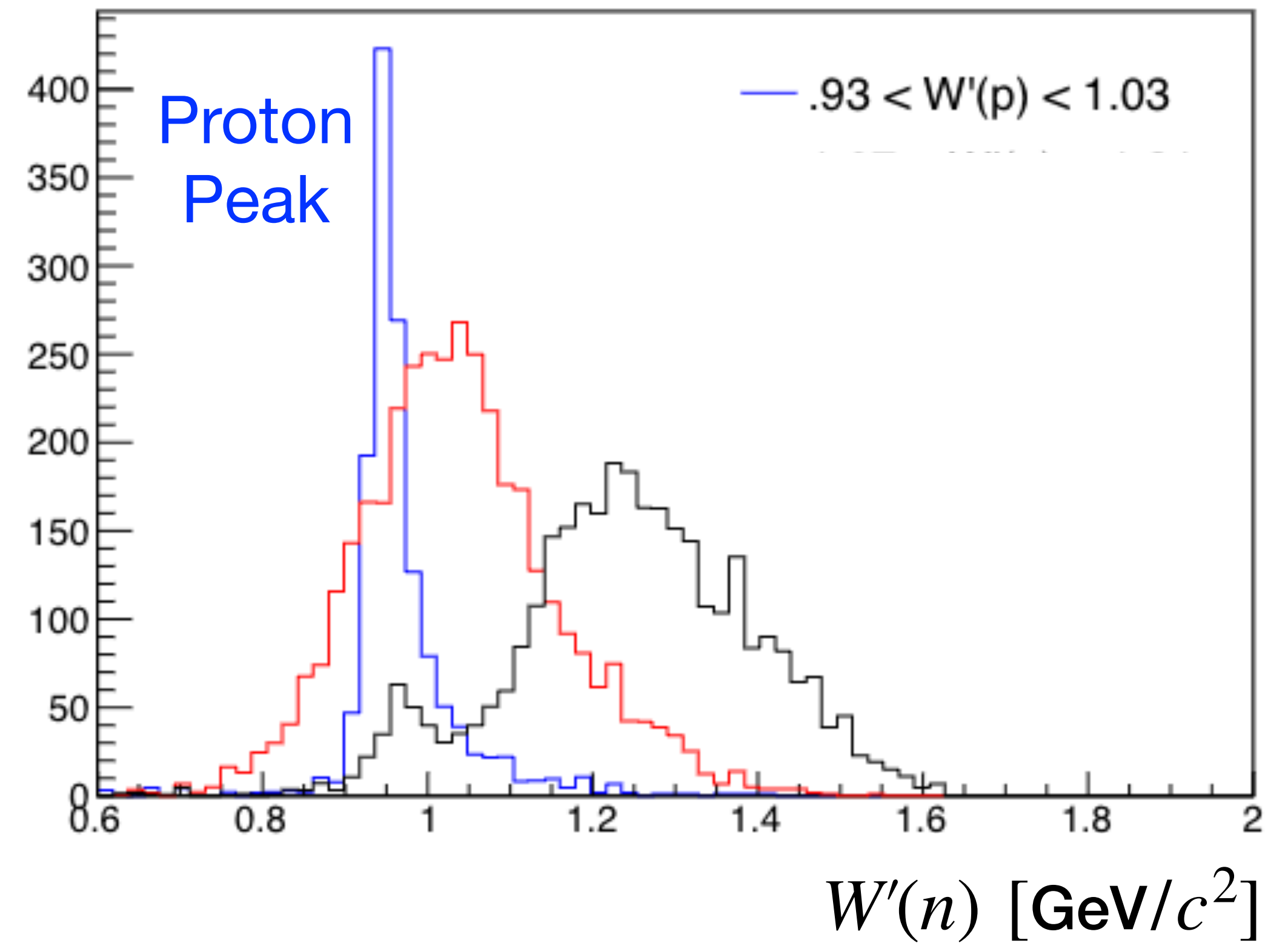
QE Results: Corresponding Nucleon Peaks!

$$e + d \rightarrow e' + n + p$$

$$1.30 < \alpha_S < 1.40$$



$$1.30 < \alpha_S < 1.40$$



Selecting neutron peak in $W'(p)$ yields a corresponding proton peak in $W'(n)$ in 2 GeV data

Data / Sim Ratio after RGA Subtraction

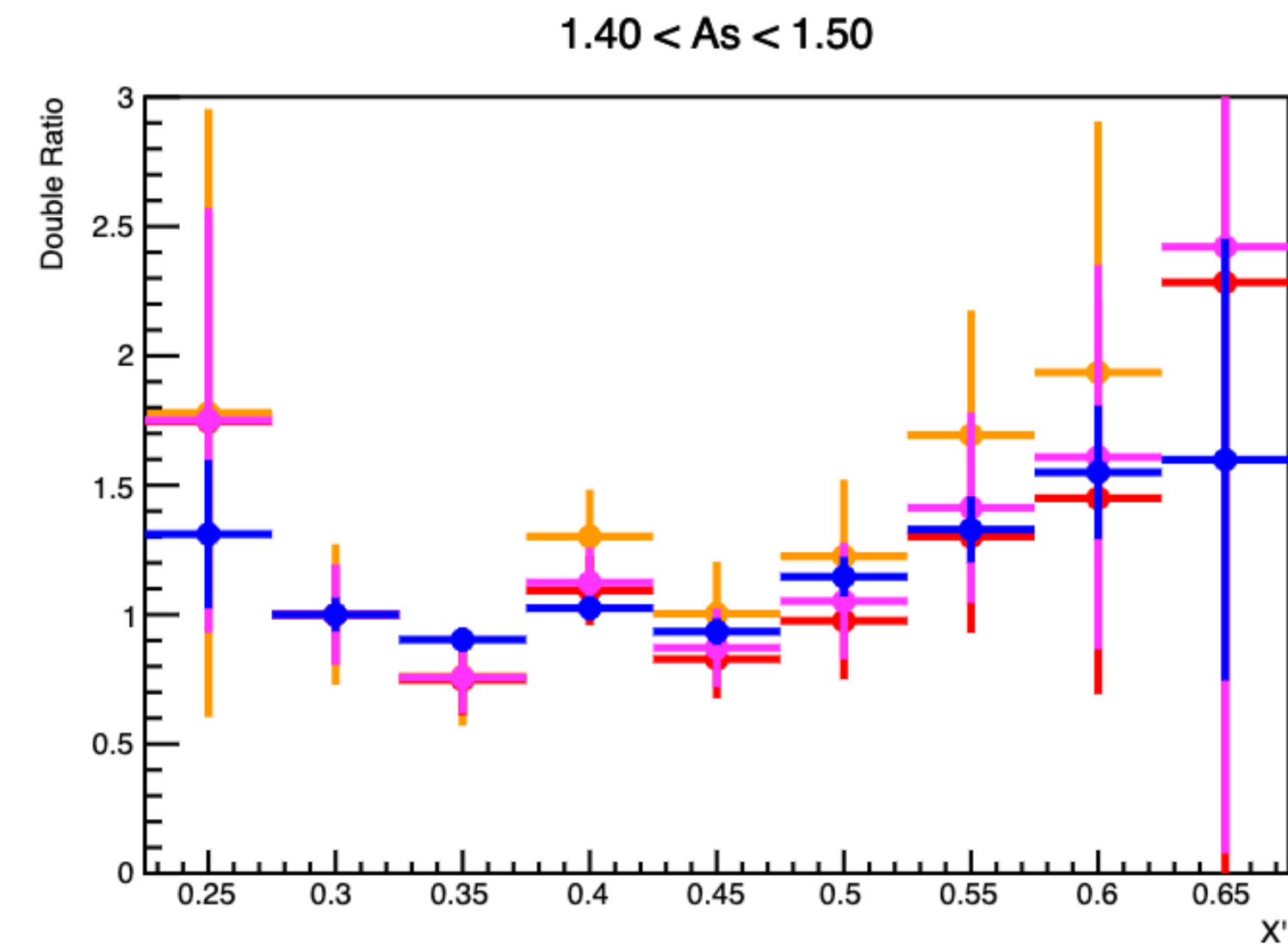
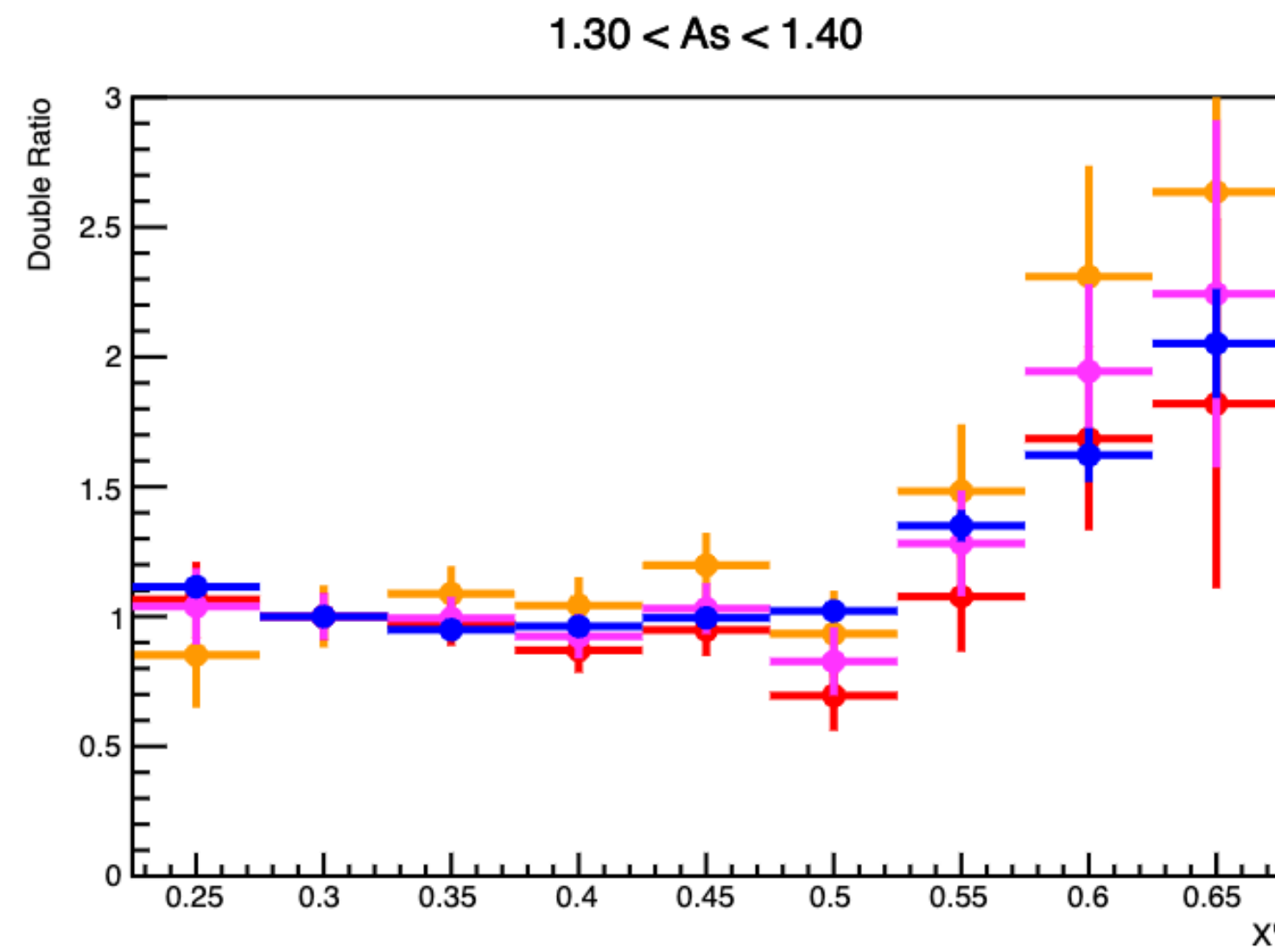
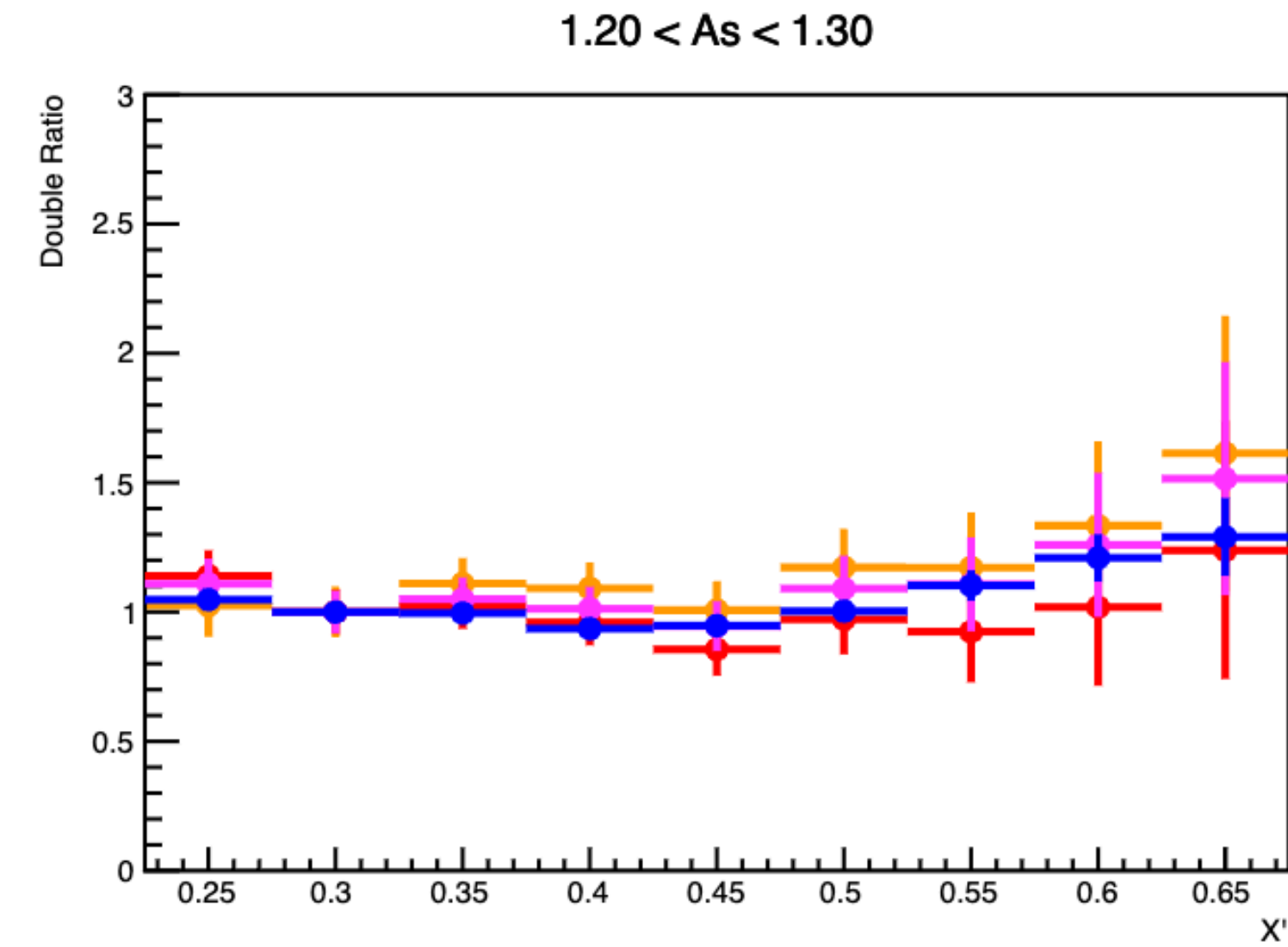
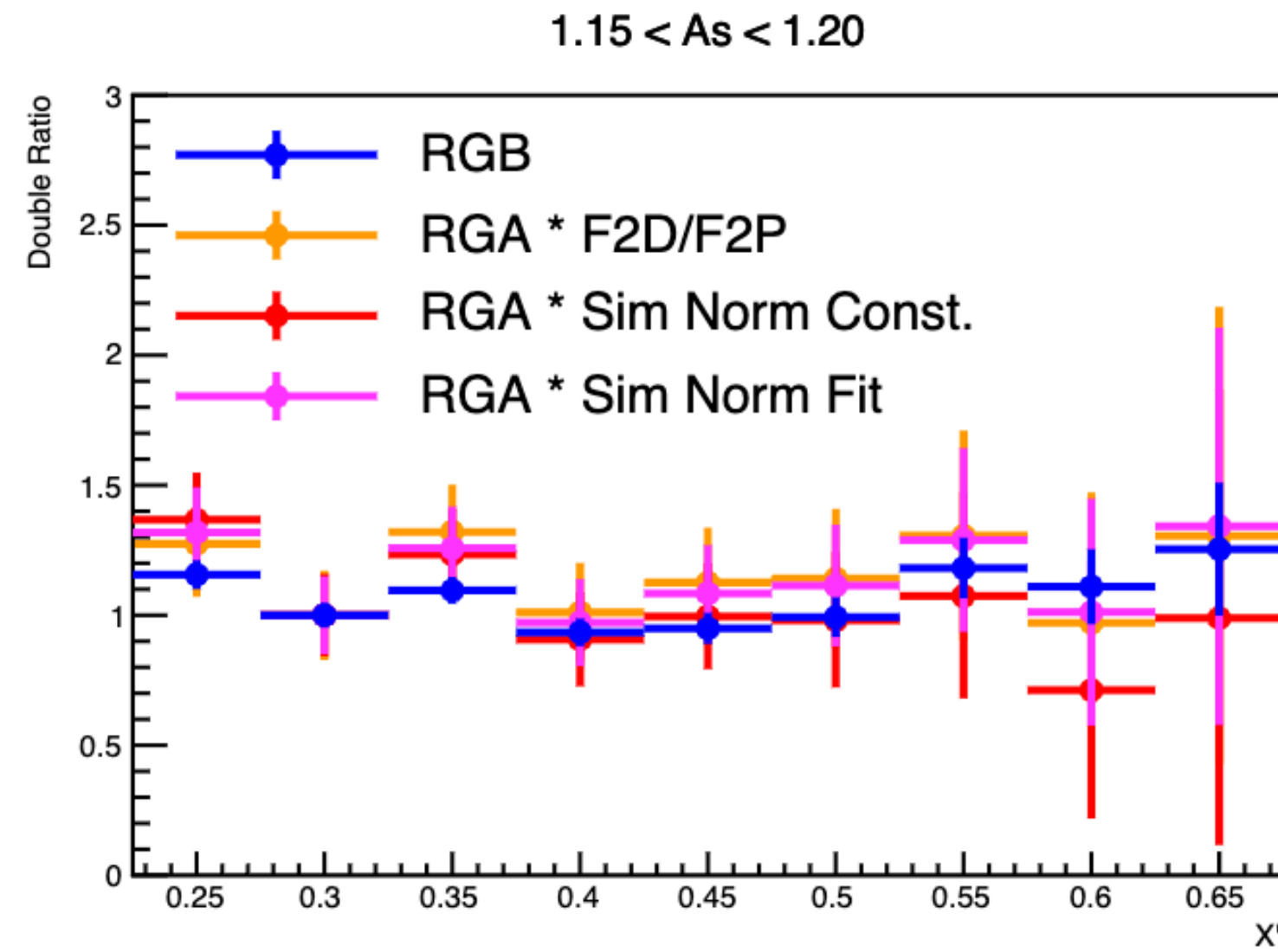
1.RGB events (before RGA subtraction):	6.68e4
2.RGA background events (F2n/F2p scaling):	3.86e4
3.RGB events (after RGA subtraction):	2.82e4

In the analysis note, the data/MC ratio for 10.2 GeV was 4.62 (using line 1 above)

The number of data events after subtraction is 42.2% of line 1

After RGA subtraction, the new data/MC ratio is 1.95

Subtracted double ratio with each RGA norm



Measurement compatible with DIS data

Convolution formalism:

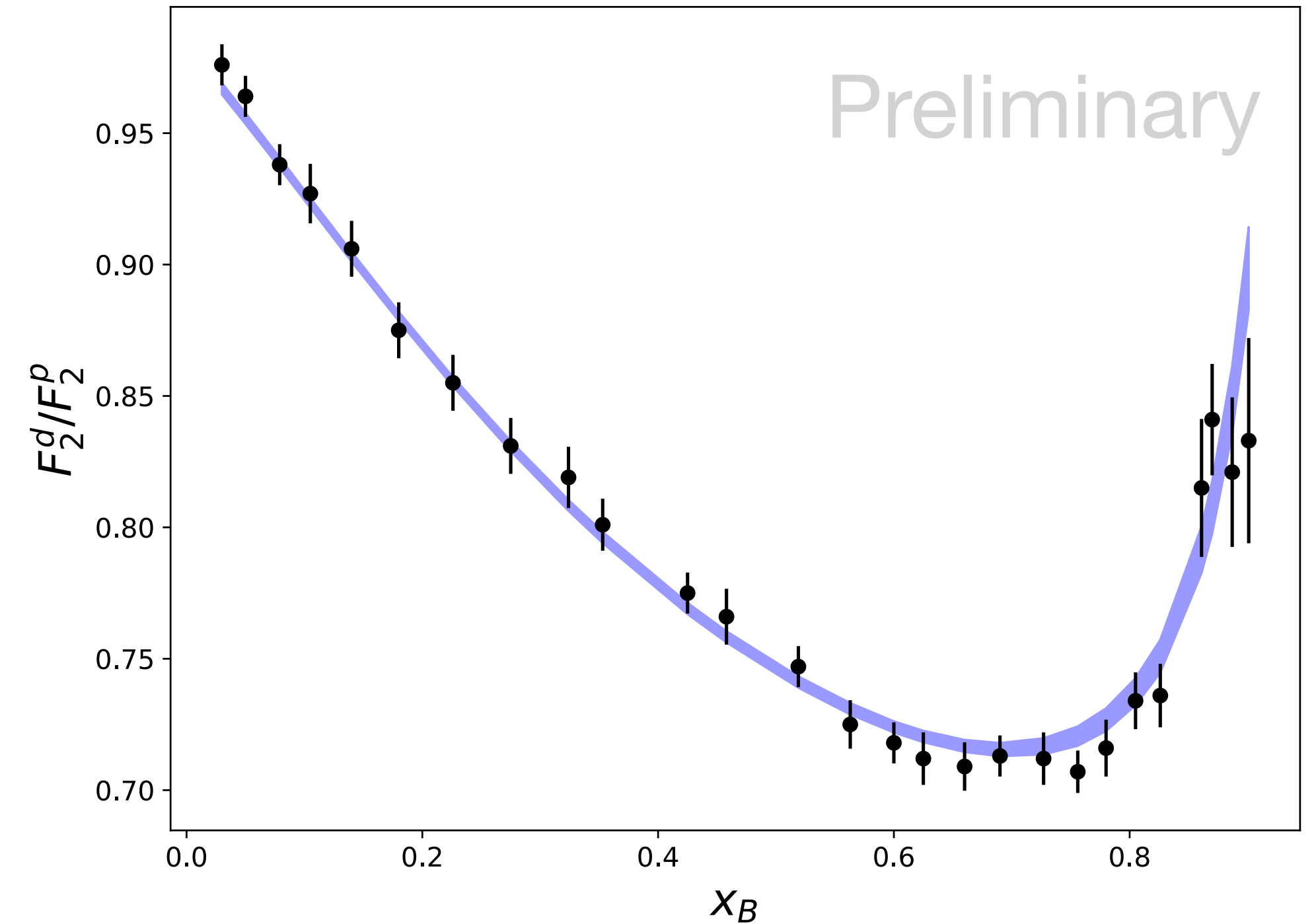
$$F_2^A(x) = \frac{1}{A} \int_x^A \frac{d\alpha}{\alpha} \int_{-\infty}^0 d\nu F_2^p(\tilde{x}) \left[Z \frac{F_2^{p*}(\tilde{x})}{F_2^p(\tilde{x})} \rho_p^A(\alpha, \nu) + N \frac{F_2^{n*}(\tilde{x})}{F_2^p(\tilde{x})} \rho_n^A(\alpha, \nu) \right]$$

$$F_2^p(x) = \frac{4}{9}u(x) + \frac{1}{9}d(x)$$

$$F_2^{*p}(x) = \frac{4}{9}u(x)(1 + \nu f_u^{off}(x)) + \frac{1}{9}d(x)(1 + \nu f_d^{off}(x))$$

ν = Virtuality

$f_q^{off}(x)$ = Flavor-dept off-shell modification function



Measurement compatible with DIS data

Data used for fitting:

F_2^d / F_2^p (Global re-analysis, Arrington et al., J. Phys. G 36, 025005 (2009))

$F_2^{3\text{He}} / F_2^d$ (Hall C, Seely et al., Phys. Rev. Lett. 103, 202301 (2009))

$F_2^d / (F_2^p + F_2^n)$ (BoNuS, Tkachenko et al., Phys. Rev. C 89, 045206 (2014))

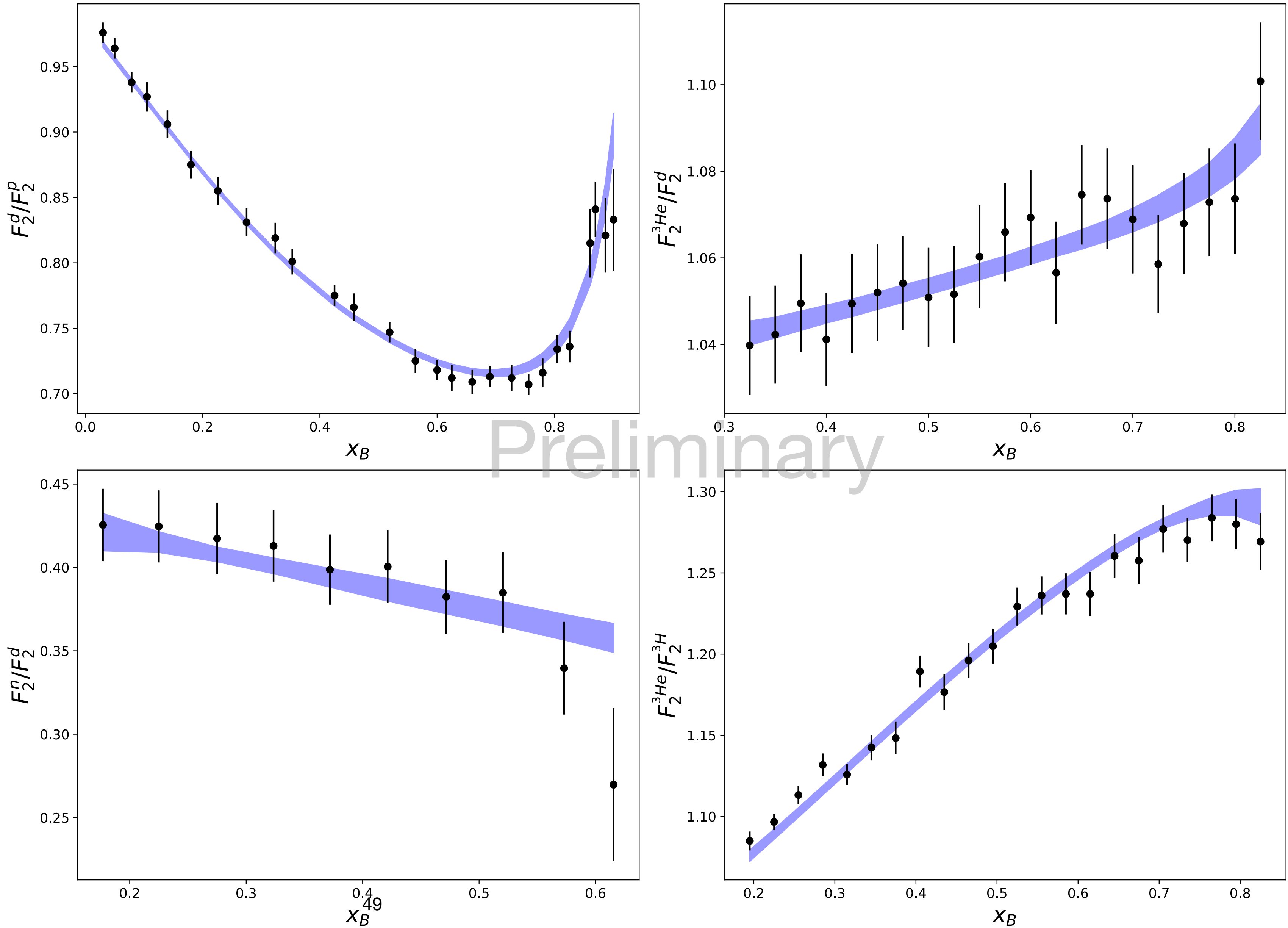
$F_2^{3\text{He}} / F_2^{3\text{H}}$ (Marathon, D. Abrams et al., Phys. Rev. Lett. 128, 132003 (2022))

+Tagged: $F_2^{p,\text{tagged}} / F_2^p$ (BAND)

Measurement compatible with DIS data

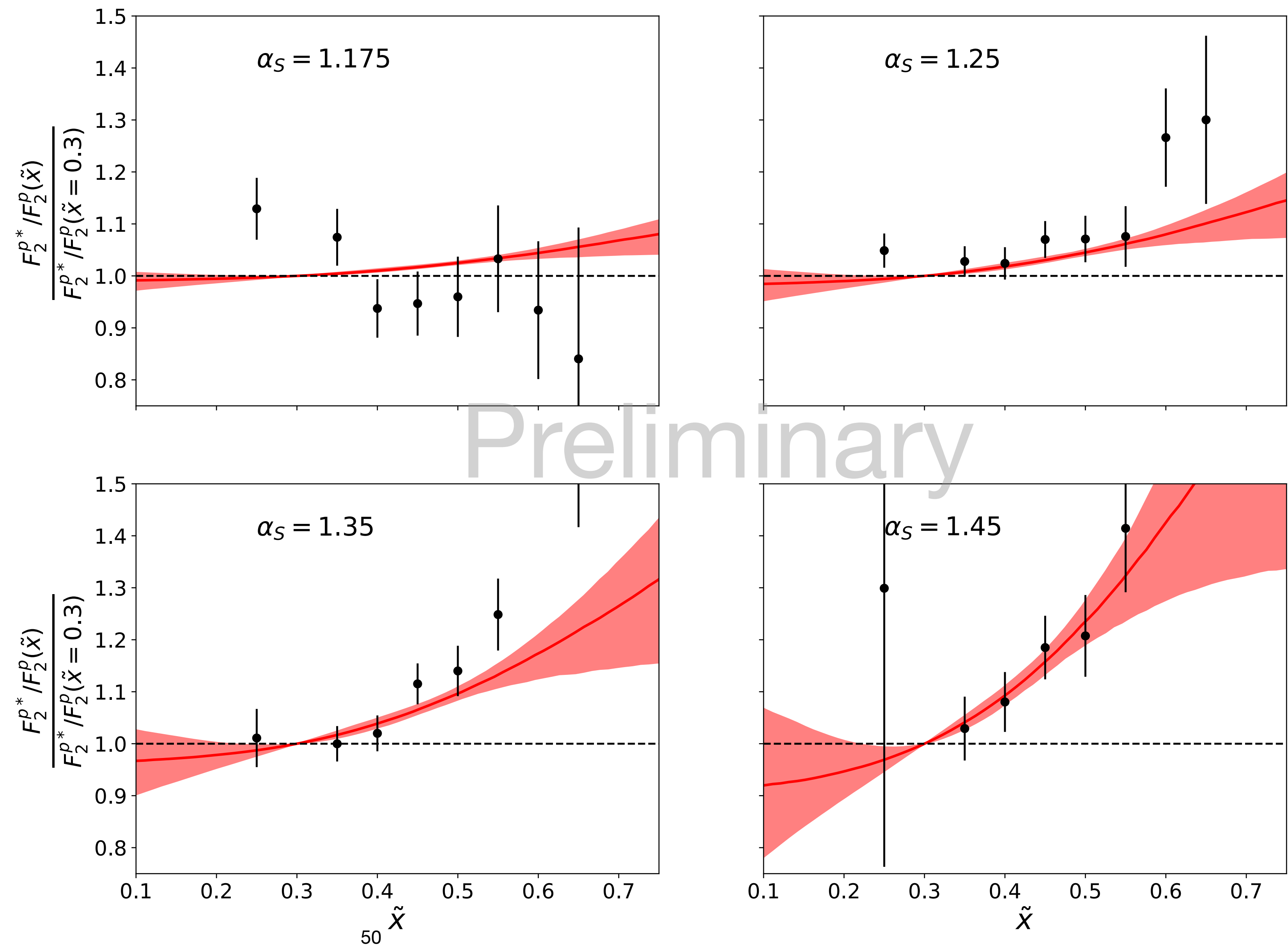
Inclusive simultaneous fit results:

$$f_q^{off} = a_q + b_q \tilde{x} + c_q \tilde{x}^2, \langle \chi^2/NDF \rangle = 1.2588408879999997$$



Measurement compatible with DIS data

BAND tagged
simultaneous fit results:



Data vs. Simulation (No RG-A Subtraction)

