High precision measurement of phi-nucleon cross-section and tensor asymmetry with a tensor polarized deuteron target

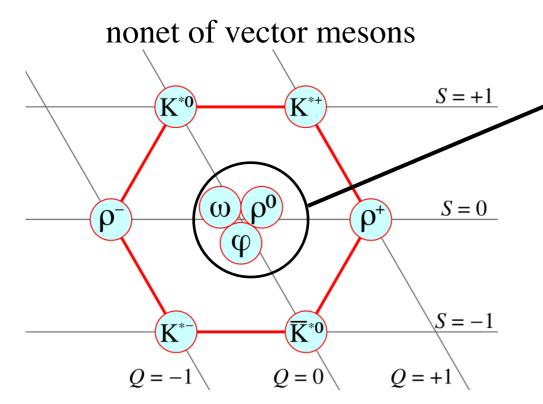
Mark M. Dalton







$\phi - N$ interaction



$$J^{PC} = 1^{--}, \ Q = B = S = 0$$

same quantum numbers as the photon

$$\rho = (u\bar{u} - d\bar{d})/\sqrt{2}$$

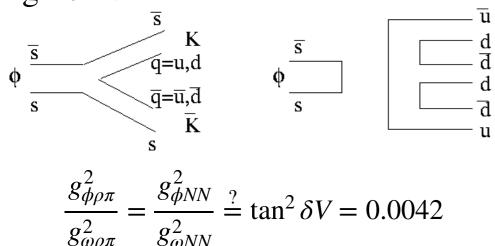
$$\omega \approx (u\bar{u} + d\bar{d})$$

$$\phi \approx s\bar{s}$$

Vector Meson Dominance (VMD) model The hadronic components of the physical photon consist of the lightest vector mesons ρ , ω and ϕ .

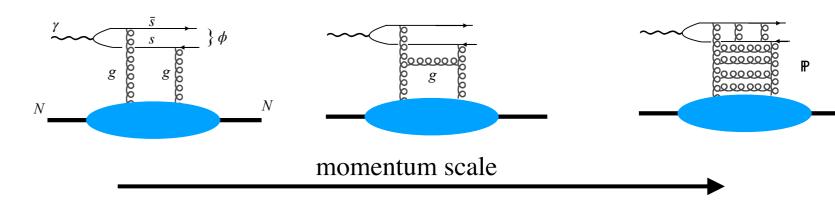
OZI rule

A decay is suppressed if initial and final states only connected by gluons.



Suggests that $\phi - N$ interaction will also be suppressed.

Quark interchange between ϕ and nucleon suppressed. Multi-gluon (pomeron) exchange dominates at all energies.

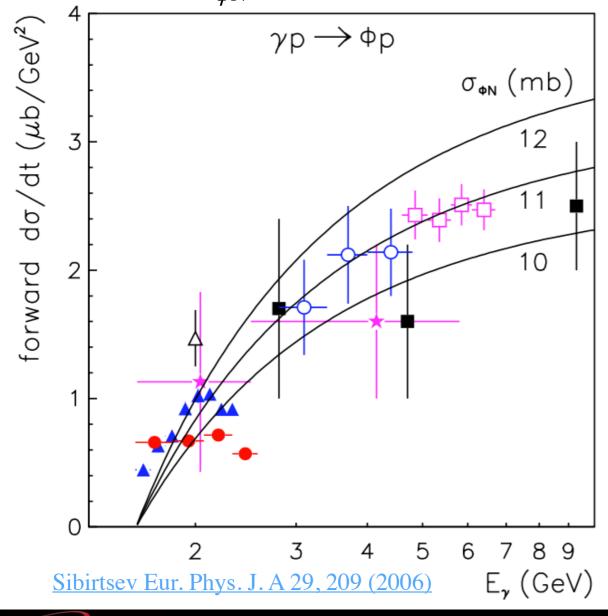


$\phi - N$ cross section in free space

Studying hadronic interactions of unstable particles is difficult.

$$\phi N \rightarrow \phi N$$

 $\gamma p \rightarrow \phi p$ using vector meson dominance $\sigma_{\phi N} \simeq 10-12 \text{ mb}$

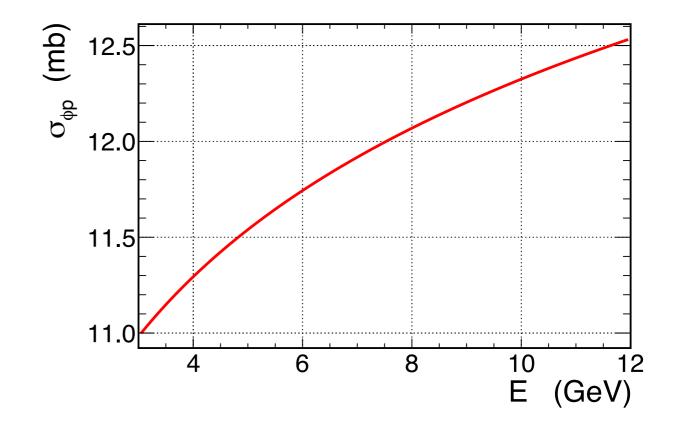


Muhlich Nucl. Phys. A 765, 188 (2006)

Additive quark model

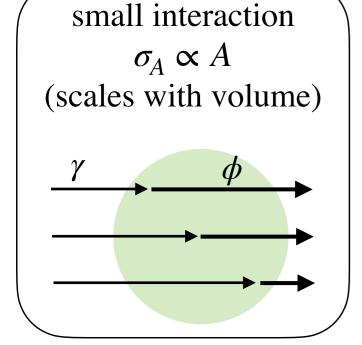
$$\sigma_{\phi p} \simeq \sigma_{K^+ p} + \sigma_{K^- p} - \sigma_{\pi^+ p}$$

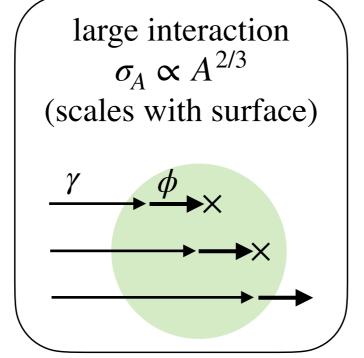
$$\sigma_{\phi p} \simeq (10s^{0.0808} - 1.52s^{-0.4525}) \text{ mb}$$



$\phi - N$ cross section in nuclei

Study scaling of ϕ with mass number A. Too few ϕ detected $\Longrightarrow \phi$ absorbed \Longrightarrow large cross section for rescattering or absorption

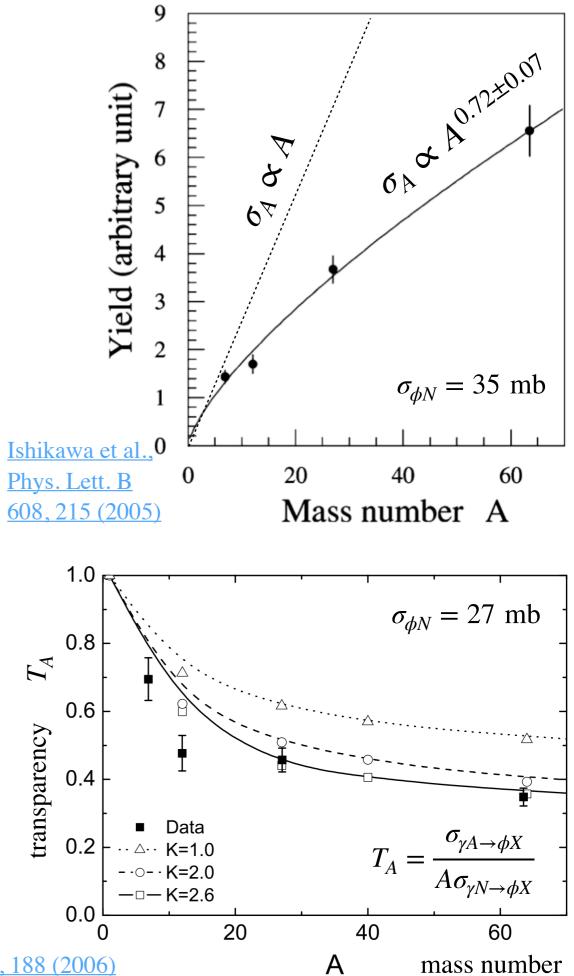




Sophisticated models need $\sigma_{\phi N} \simeq 30 \text{ mb}$

semi-classical BUU transport model with coupled-channel final state dynamics, Fermi motion, Pauli blocking, shadowing, elastic and inelastic scattering including sidefeeding and regeneration of all produced particles, decays of unstable particles, collisional broadening, kaon self energies.

Muhlich Nucl. Phys. A 765, 188 (2006)

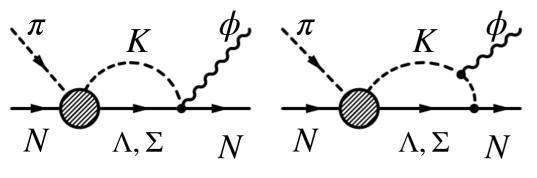


Potential Explanations

coupled channel effect (2 step process): $\gamma N \to \omega N$ followed by $\omega N \to \phi N$ OR $\gamma N \to \pi N$ followed by $\pi N \to \phi N$ no absolute cross sections and no t-slopes available \Longrightarrow more data needed

Sibirtsev Eur. Phys. J. A 29, 209 (2006)

Box diagrams with open strangeness



Doring et al. PRC78, 025207 (2008)

 $\phi - N$ bound state in the nucleus?

QCD van der Waals attractive potential Gao et al. PRC 63, 022201 (2000)

Cryptoexotic baryon B_{ϕ}

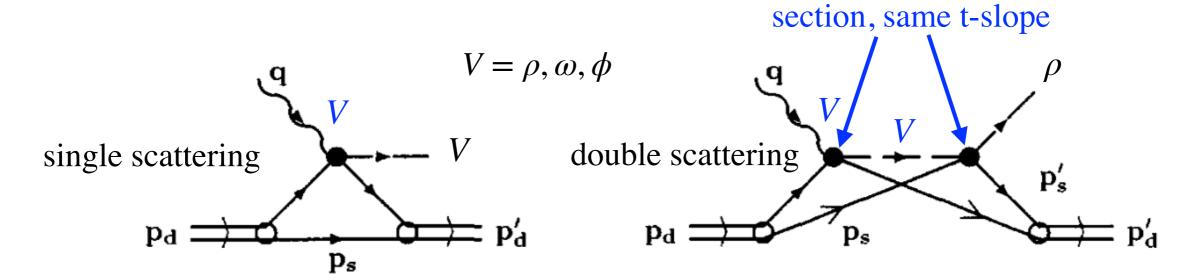


Sibirtsev Eur. Phys. J. A 29, 209 (2006)

 ϕ is modified in nucleus but ρ , ω are not.

 ϕ is created as a $s\bar{s}$ point-like configuration, which transitions into ϕ as eigenstate of QCD Hamiltonian.

Enter the deuteron $\gamma d \rightarrow Vd$

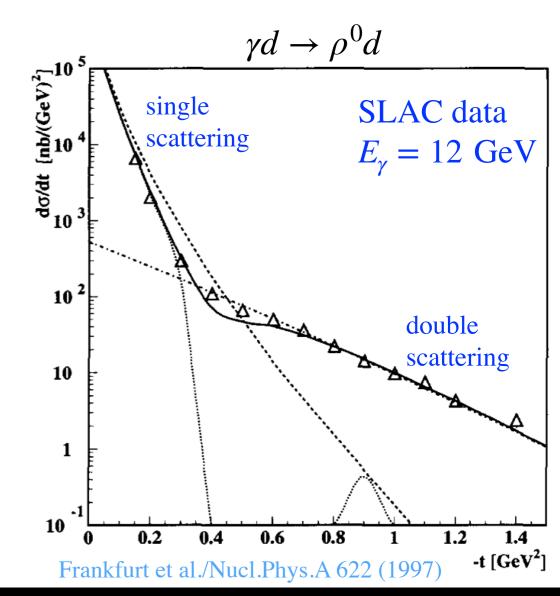


Double scattering contains information about the initially produced ejectile and its evolution through the target.

single scattering
full momentum transferred to single nucleon →
steep t-slope

double scattering:

≈½ momentum transferred to each nucleon → shallower effective t-slope (dominates at high-t, low rate)



VMD: same cross

Model of coherent vector meson photoproduction

Model of single and double scattering describes the differential cross sections for ρ , ω and ϕ

Frankfurt et al./Nucl.Phys.A 622 (1997)

Very standard ingredients

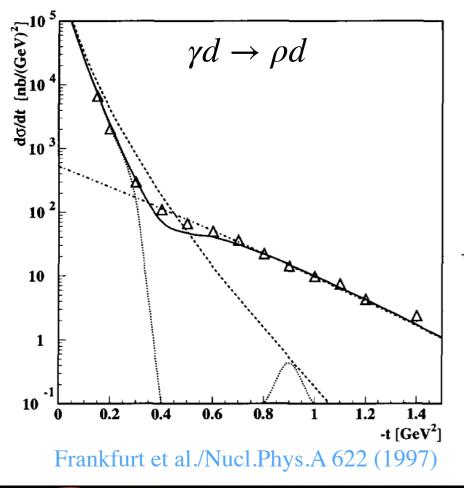
Glauber theory with relativistic/recoil corrections,

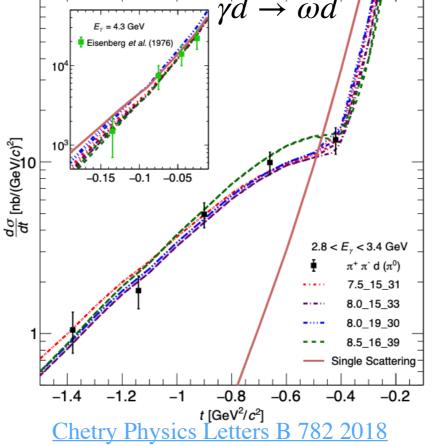
hadronic structure of the photon (vector meson dominance),

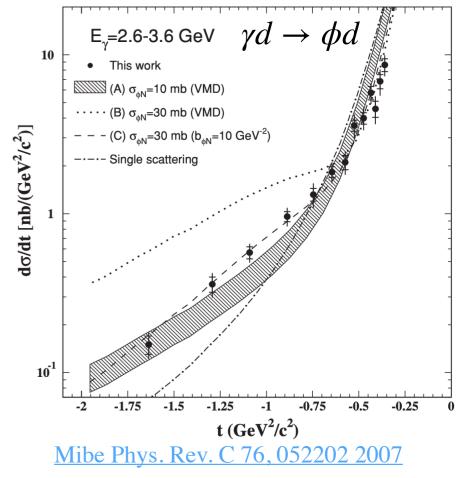
Paris Potential for deuteron structure,

longitudinal interaction length of the photon l_c .

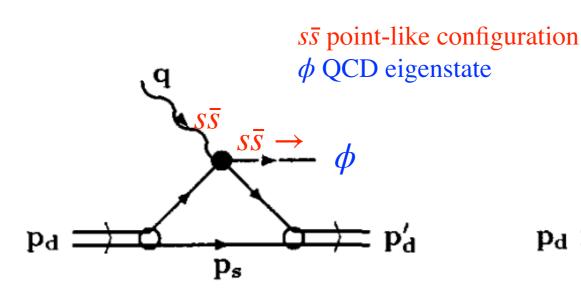
All of ρ , ω and ϕ provide interesting systems for study.

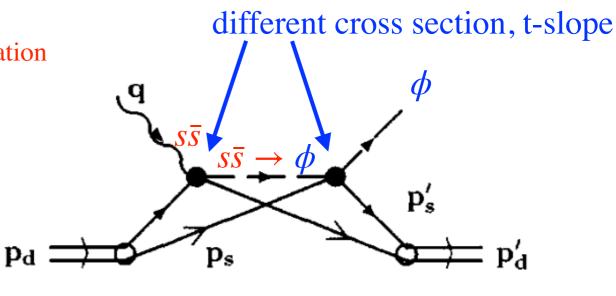






Measurement of $\phi - N$ cross section $\sigma_{\phi N}$



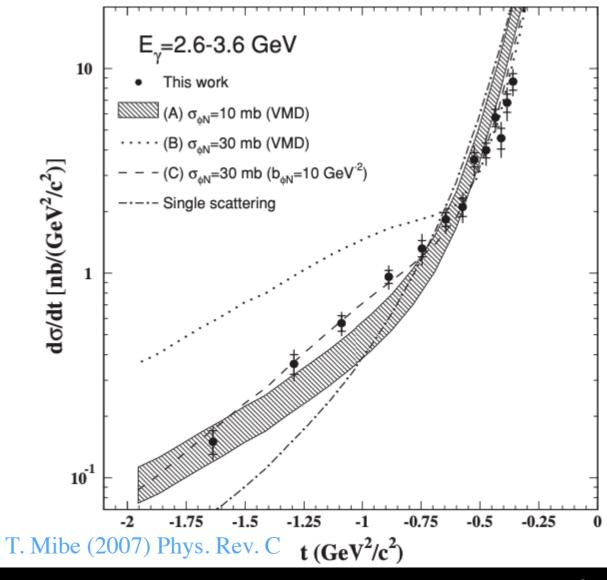


attenuation of ϕ photoproduction off heavy nuclei $\Longrightarrow \sigma_{\phi N} \simeq 30 \; \mathrm{mb}$

exclusive ϕ photoproduction analyzed with vector meson dominance $\Longrightarrow \sigma_{\phi N} \simeq 10 \text{ mb}$

CLAS data ambiguous depending on analysis method. consistent with $\sigma_{\phi N} \simeq 10$ mb using VMD consistent with $\sigma_{\phi N} \simeq 30$ mb if t-slope larger

Tensor polarization of the deuterium will provide a handle to disambiguate $\sigma_{\phi N}$ puzzle.



Tensor Polarization

Spin-1 in a magnetic field Zeeman splitting results in 3 energy levels m = -1,0, +1

$$N_+ + N_- + N_0 = 1$$

Vector Polarization

$$P = N_+ - N_-$$
$$-1 \le P \le +1$$

Tensor Polarization (Alignment)

$$Q = 1 - 3N_0$$
$$-2 \le Q \le +1$$

 $Q_+ = Q_1 = Q_3$

$$Q_- = Q_2 = Q_4$$

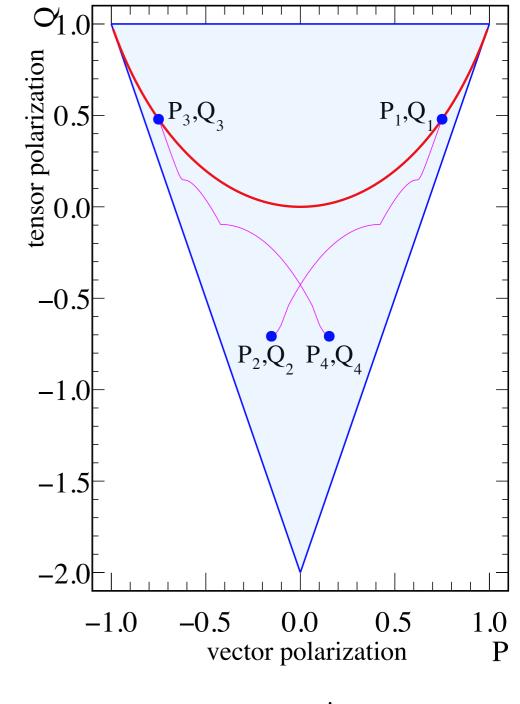
At thermal equilibrium

$$Q = 2 - \sqrt{4 - 3P^2}$$



E12-13-011 b_1 structure function (Hall C)

E12-15-005 t_{20} form factor and A_{zz} in quasi-elastic scattering (Hall C)



running states
allowed area
spin manipulation
thermal equilibrium $Q = 2 - \sqrt{4 - 3P^2}$

Tensor Polarization

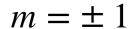
Deuteron spin states have different spatial density distributions

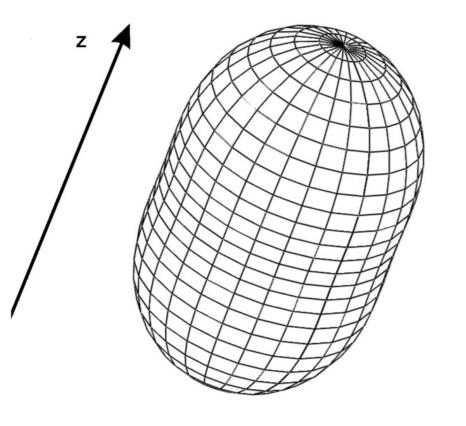
Change the amount of material traversed by the ϕ .

Changes the relative orientation of nucleons and the likelihood of hitting both and leaving deuteron intact.

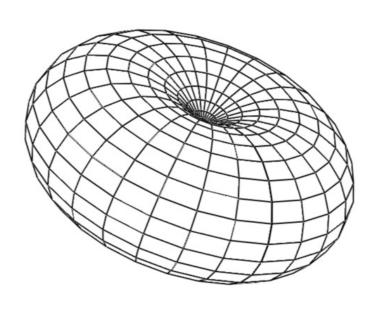








$$m = 0$$

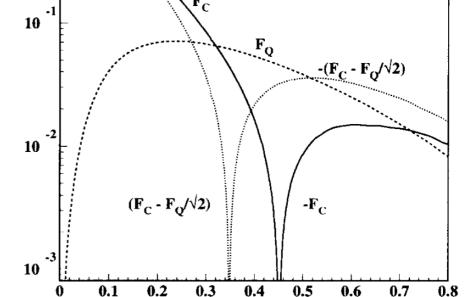


hole associated with node in the charge form factor

Paris potential

 F_C charge FF

 F_O quadrupole FF



momentum

 $A_{zz} = 2A_d^T = 2\frac{\sigma_+ - \sigma_-}{Q_+\sigma_- - Q_+\sigma_-}$ asymmetry benefit: many systematics cancel

I [GeV/c]

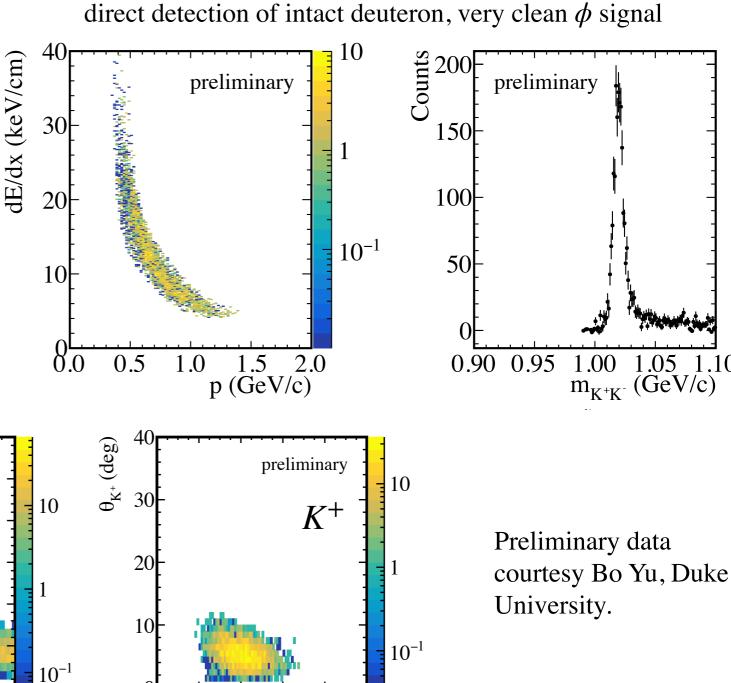
Projection of Statistics

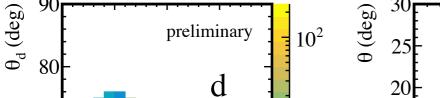
Extrapolate using preliminary data from 2.9 PAC days of deuteron data from SRC/CT running in 2021 in Hall D. Same apparatus and data analysis.

- very clean signal for exclusive ϕd final states
- use measured distribution, remove statistical fluctuations, and scale to account for luminosity and time.

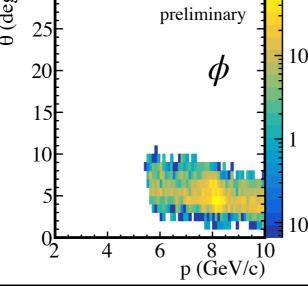
kinematics of 2 body scattering

10





 $P_{\rm d} = \frac{1.5}{({\rm GeV/c})} = \frac{2.0}{1.5}$



0.5

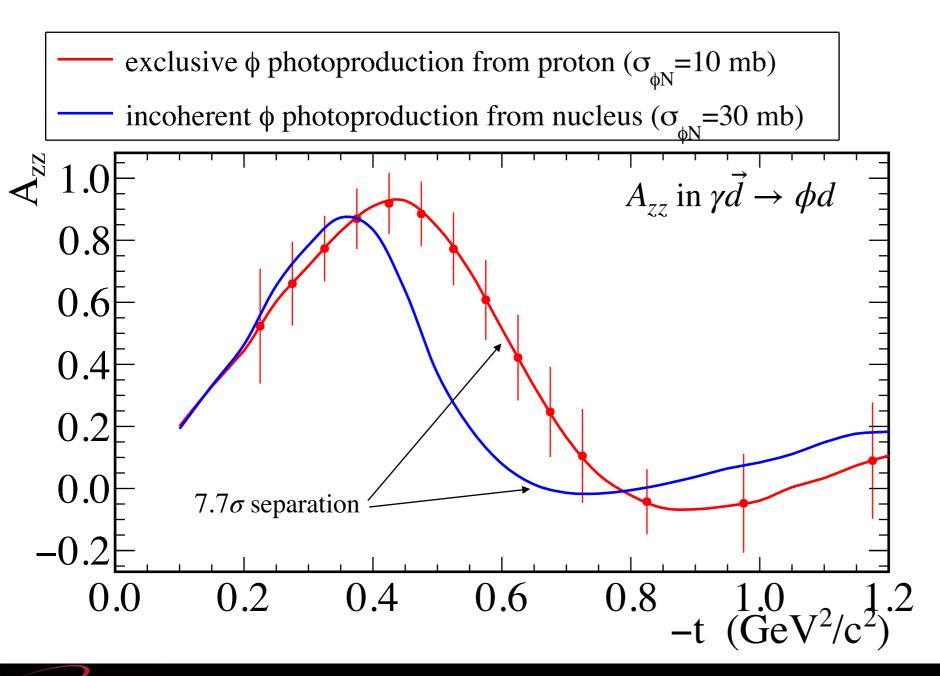
60

Projected Uncertainties

Asymmetry curves from Frankfurt et al. using scenarios consistent with cross section data

 $A_{zz} = 2A_d^T = 2\frac{\sigma_1 - \sigma_2}{Q_1\sigma_2 - Q_2\sigma_1}$

Obtain 7.7σ separation



Statistics assuming 60 PAC days of beam $Q_1 = 0.35$ and $Q_2 = -0.38$

Systematics: 8% from measurement of target polarization

shape discrimination, normalization uncertainties not important.

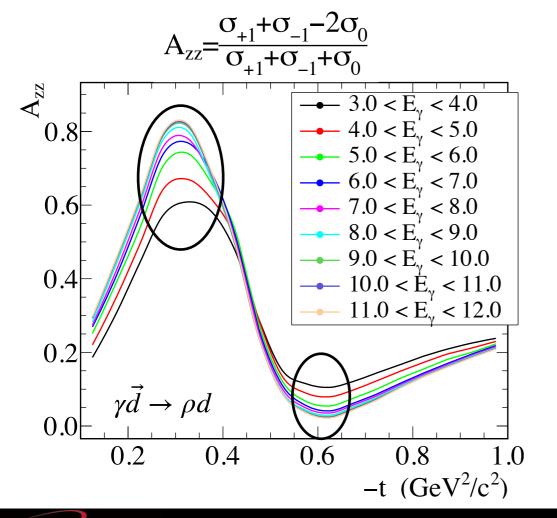
Coherence Length of the Photon l_c

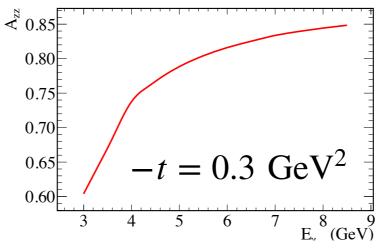
Real and virtual photons

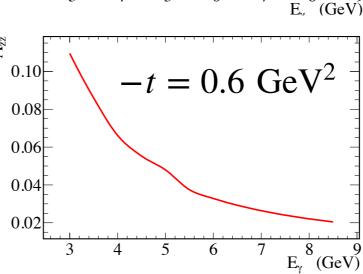
Photon fluctuates into $q\bar{q}$ with lifetime l_c , estimated with uncertainty relation $\sim 1/m_N x_{\rm Bi}$

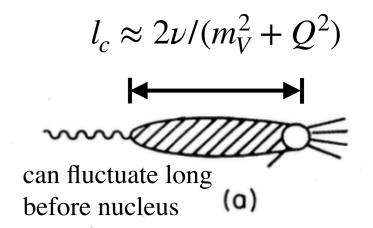
Shadowing in nuclear-DIS at $x \ll 0.1$ evidence of this phenomenon.

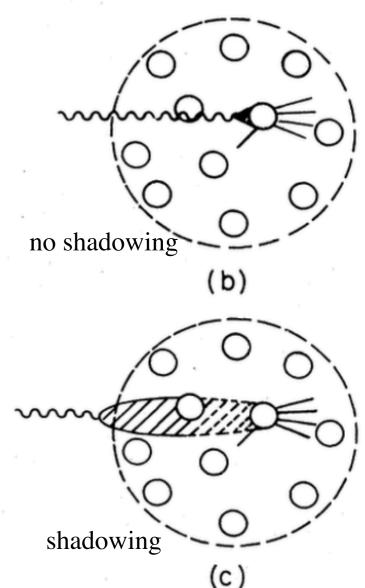
Deuteron is small so $l_c \gtrsim$ deuteron size at intermediate energies. Test predictions for energy ν and mass m_V dependence with $\gamma d \rightarrow \rho d$ and $\gamma d \rightarrow \omega d$









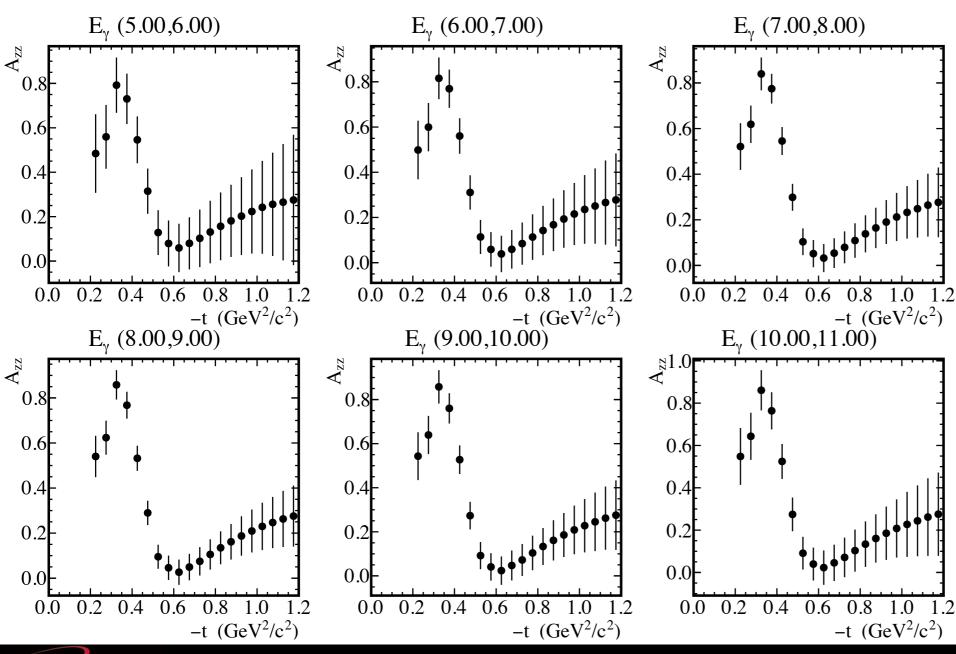


Bauer et al. Rev.Mod.Phys. v50 (1978)

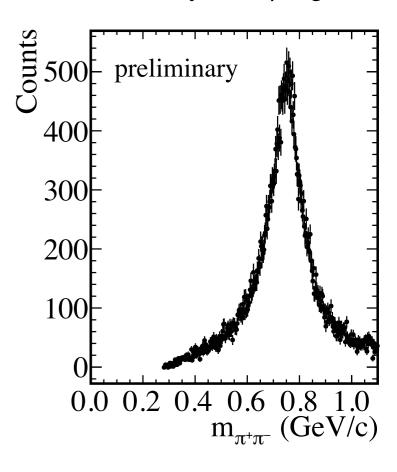
13

Projected Uncertainties in $\gamma d \rightarrow \rho d$

significantly higher statistics for ρ , can study energy dependent effects, such as coherence length of process



direct detection of intact deuteron, very clean ρ signal



60 PAC days of beam $Q_{+} = 0.35$ and $Q_{-} = -0.38$



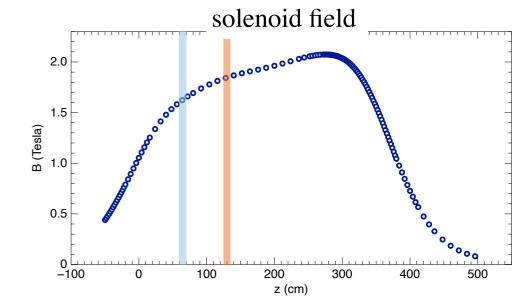
FROST-D Polarized Target

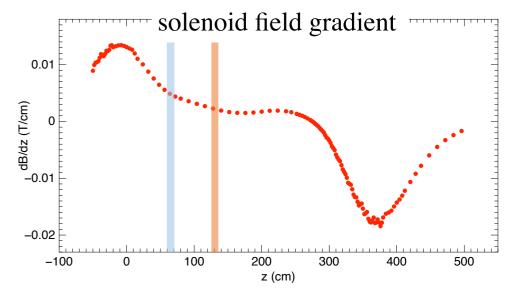
The only non-standard equipment is the target.

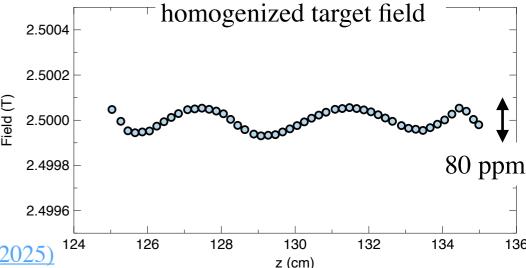
This experiment will use the polarized target already approved for E12-20-011 REGGE (Real Gamma **GDH** Experiment)

Same principles as the FROST target which ran twice in Hall B, and other targets at CERN, Mainz, KEK, JINR, etc.

- Dynamically polarized target
- 10 cm long to reduce tagger accidentals.
- Use Hall D solenoid field plus thin, superconducting coils inside the target cryostat to increase field to 2.5 T and decrease gradient <100 ppm.
- ³He-⁴He dilution refrigerator, base temperature 50 mK and 300 mK with microwaves on.
- Allows continuous polarization and frozen spin modes.







Advantage of a photon beam

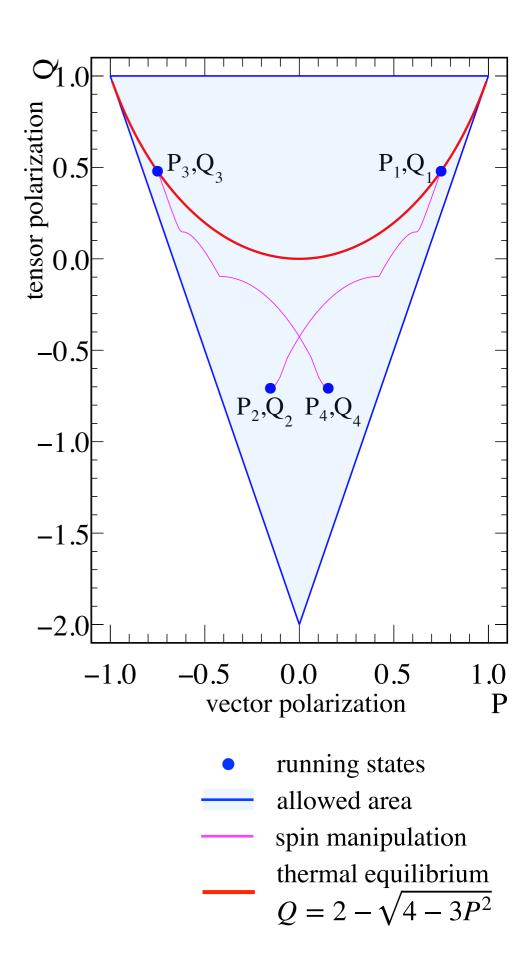
A photon beam adds very little heat allowing a much higher polarization than is possible with an electron beam. We conservatively assume P = 0.75 but higher has been achieved.

Using the frozen spin mode allows manipulations that take the spin states of the deuterium out of thermal equilibrium. This allows negative Q. Dalton et al. Eur. Phys. J. A (2025)

 $Q_{+} = 0.48$ and $Q_{-} = -0.71$ are possible in ideal circumstances.

A large lever arm is therefore available to measure the asymmetry wrt Q. Compare to $Q_+ = 0.3$ and $Q_- = 0$ for electron beam.

Vector polarization will be reversed to cancel but vector measurements will be taken concurrently.



Target polarization cycle

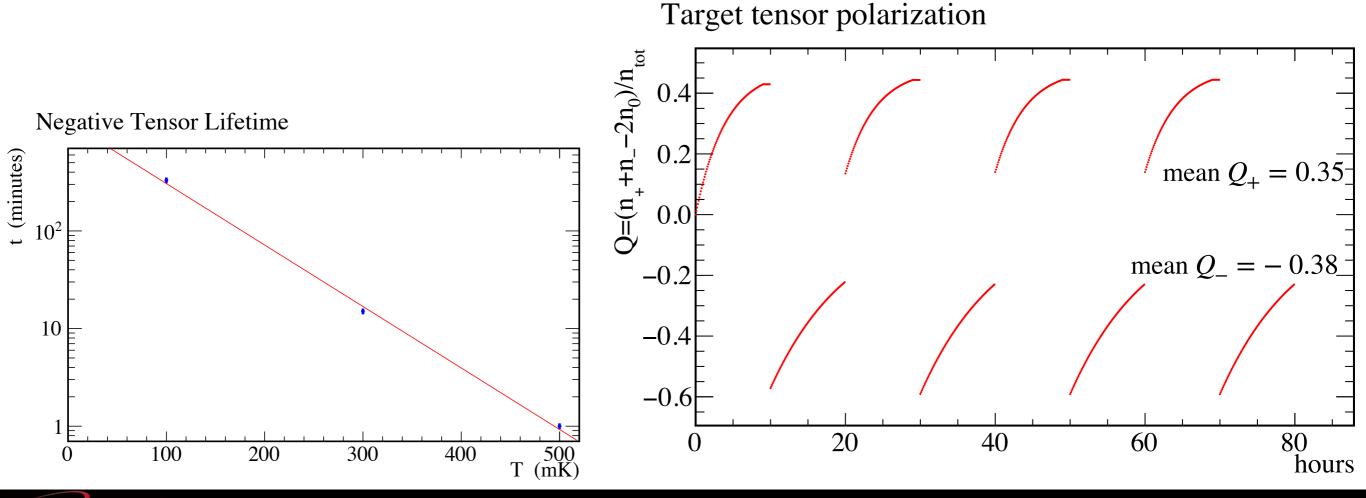
In practice the target must be polarized in positive tensor mode (DNP), assumed $\tau = 6$ hrs, which takes time and will depolarize in negative tensor mode (frozen spin), assumed $\tau = 10$ hrs.

Averages of $Q_{+} = 0.35$ and $Q_{-} = -0.38$ were used in the proposal.

"Worst case scenario" we run with

$$Q_{+} = 0.48$$
 and $Q_{-} = 0$

Decrease the separation to 4.9σ



Beamtime Request

60 Days data taking with polarized beam

5 Days overhead

Beamline commissioning

Tracking calibration - straight track runs

Pair Spectrometer (PS) calibration - total absorption counter (TAC)

Luminosity calibration - Compton events vs PS

Polarized target commissioning and running

Empty target running

Measure the polarization - regular NMR calibration

GlueX endorsed: commitment by the GlueX collaboration to operate the detector, staff shifts, calibrate and process the data, as well as provide support for data analysis.



Summary

We will measure A_{zz} for $\gamma d \to \phi d$ with sufficient precision to determine decisively whether $\sigma_{\phi N} \approx 10$ mb or $\sigma_{\phi N} \approx 30$ mb, thereby solving a longstanding puzzle (e.g. Feynman's "Photon-hadron interaction, 1972)

High statistical significance in A_{zz} for $\gamma d \to \rho^0 d$ and $\gamma d \to \omega d$, related to the deuteron charge form factor, single and double scattering and photon coherence length.

Tensor polarized D with a real photon beam is a new thing never been done before. Easier than with electron beam.

Good surprises are possible.

GlueX has a hermetic detector with an open trigger so will capture a broad range of final states not mentioned here.

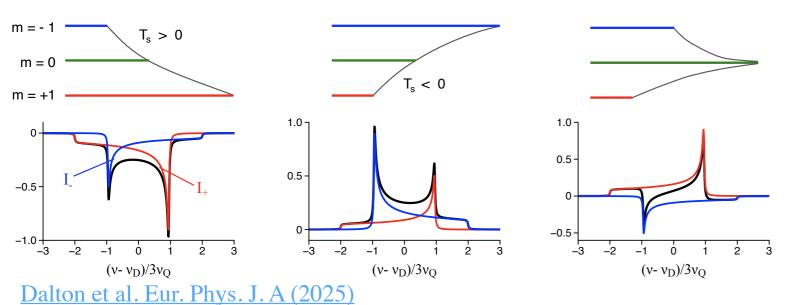
Theory Report: Solving the $\sigma_{\phi N}$ puzzle is an important endeavor to understand the limits of the applicability of VMD and to better interpret incoherent photoproduction data, where various theoretical models—similar to color transparency—have been proposed to explain the phenomena. The proposal reads well and is encouraged.



GlueX Acknowledgements: gluex.org/thanks

Extracurricular

Measurement of Tensor Polarization



There has been excellent recent progress on simulating and fitting NMR lineshapes for tensor polarized materials.

The degree of tensor polarization must be determined from NMR lineshape measurements through a fitting procedure.

Electron beam experiments increase tensor polarization by "hole burning" which is more challenging to fit than negative tensor polarization. We have budgeted 8% systematic uncertainty.

To first order, the discrimination between scenarios is insensitive to uncertainty in amplitude of the asymmetry.

2024 Workshop on Polarized Sources, Targets, and Polarimetry Sep 22 – 27, 2024 Jefferson Lab

Analysis of the Complex NMR Lineshape of the Deuteron

Michael McClellan (University of New Hampshire) https://indico.jlab.org/event/823/contributions/15259/

Computational NMR Model for Deuteron Vector and Tensor Polarization

Elena Long (University of New Hampshire) https://indico.jlab.org/event/823/contributions/15255/

RF techniques for enhancing tensor polarization in solid targets

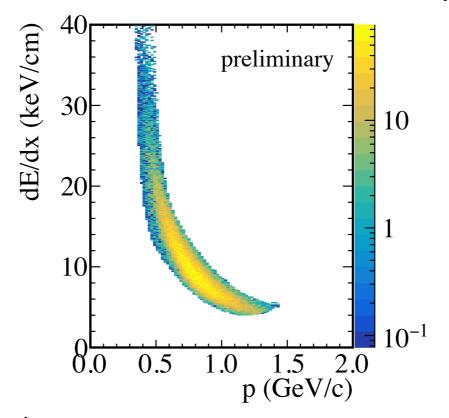
David Ruth (University of New Hampshire), Nathaly Santiesteban (University of New Hampshire)

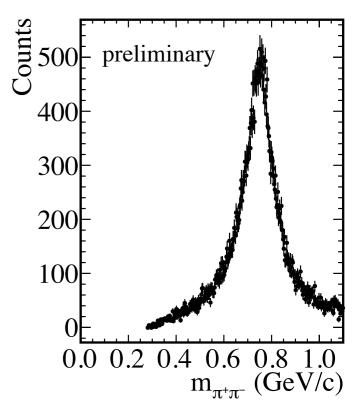
https://indico.jlab.org/event/823/contributions/15252/

Measurement of ρd and ωd

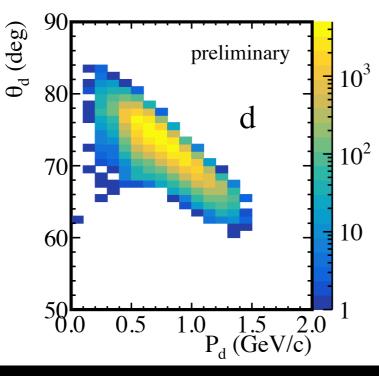
 ρ and ω can be measured equally cleanly with much higher statistics.

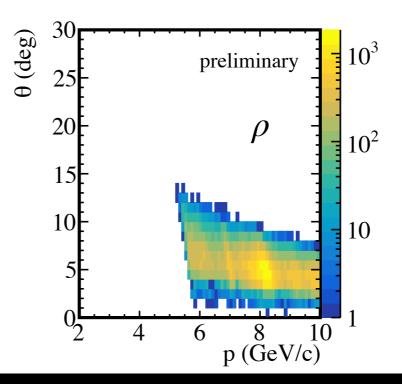
direct detection of intact deuteron, very clear ρ signal

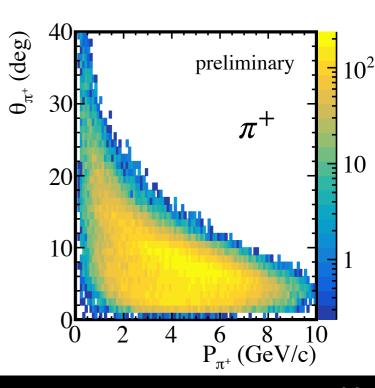


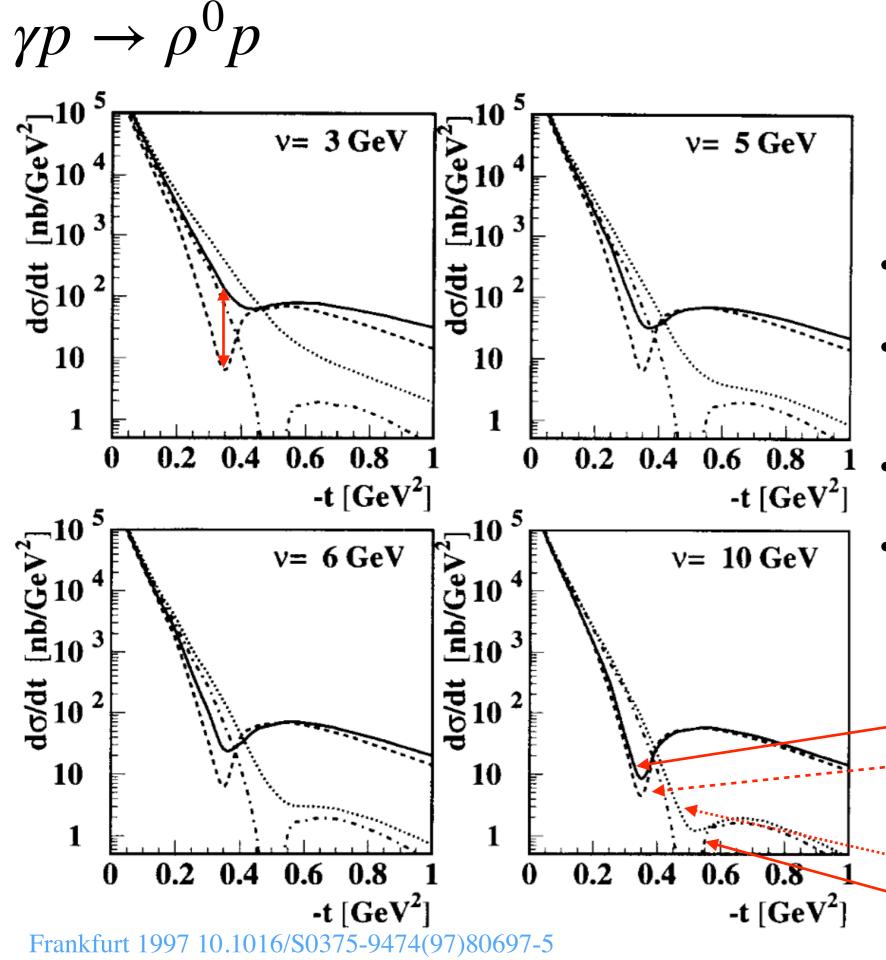


kinematics of 2 body scattering









Plots for m = 0 longitudinal polarization.

Missing are $m = \pm 1$, they will approx. resemble unpolarized

- Large diffraction minimum from F_C visible.
- Finite l_c (photon longitudinal coherence length) filling in of the diffraction minimum.
- Order of magnitude change over Hall D energies.
- Depends only on mass so $\omega(783)$ should be the same.

- Single and double scattering
- Single and double scattering $(l_c \to \infty)$
- Single scattering
- Single scattering $(l_c \rightarrow \infty)$

Coherence and Formation

Photon interaction (coherence) length l_c

Hadron formation length l_f

Both real and virtual photons

Virtual photons only

Uncertainty principle: photon fluctuates into vector meson

fluctuation is superposition of various vector mesons, takes a finite time or distance to form a final state meson

characteristic longitudinal interaction length $l_c \approx 2\nu/(m_V^2 + Q^2)$ is determined by the minimal momentum transfer, $t_{\min} = -1/l_c^2$, required for the diffractive production of a vector meson with invariant mass m_V .

ejectile transverse size $b_{\rm ej} \propto 1/Q$ determines interaction probability

shadowing in nuclear-DIS at $x \ll 0.1$ is experimental evidence of this picture

color transparency: re-scattering processes decrease with rising Q^2 at large photon energies

Contributions from both of these effects occur in vector meson photoproduction. Both are expected to manifest themselves as a growth of the nuclear transparency with Q^2 Color Transparency experiments have to take l_c into account.

Hermes 2012 PhysRevLett.82.3025

Photon interaction (coherence) length

- probe space-time evolution of a virtual quantum state by propagation through a perturbing medium
- coherence length: l_c distance unperturbed virtual state can travel in the laboratory frame during its lifetime.
- Vary kinematics to vary l_c
- $l_c = 2\nu/(m_{q\bar{q}}^2 + Q^2)$
- Initial state interactions (ISI) maximized when l_c large compared to nuclear radius R_A
- The ISI dependence on l_c measured in ρ^0
- $T_A \equiv \sigma_A/A\sigma_H$, T_A is probability of no significant ISI or FSI
- The consistency of the deuterium transparency with unity suggests that $\sigma_n \approx \sigma_H$ and that the ISI and FSI are small in 2H .
- ^{14}N decrease from 0.68 at $l_c < 2$ fm to 0.40 at $l_c > 3.6$ fm
- Glauber MS theory describes data well $\implies q\bar{q}$ (ISI) $\sim \rho_0$ (FSI)
- Shadowing: cross sections grow more slowly than linearly in A (inclusive DIS at small *x* and elastic and inclusive real photon scattering at high

