

Spin 1 SIDIS Observables from Transversely Tensor Polarized Targets

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Tensor Collaboration Meeting

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Jefferson Lab, Virginia



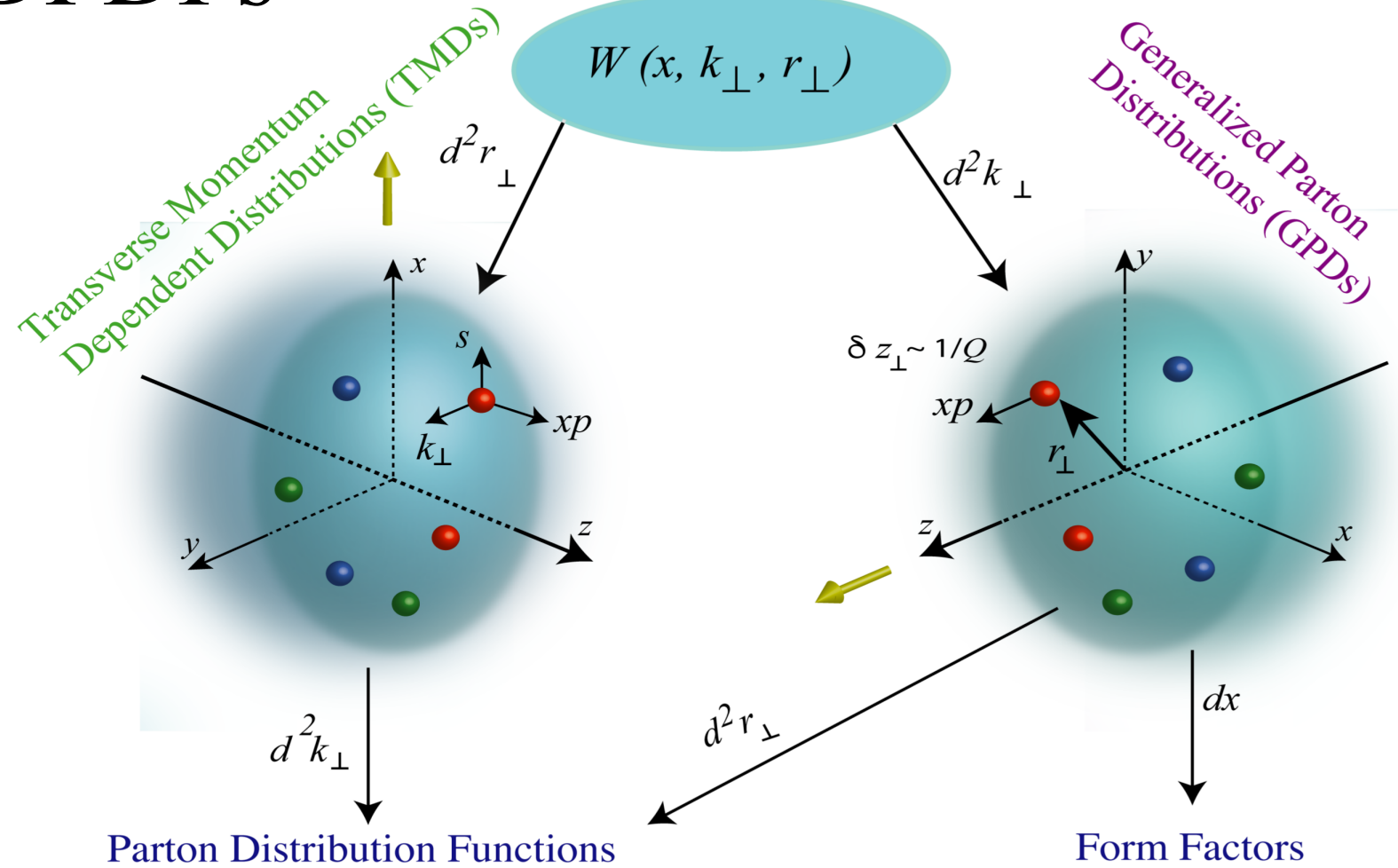
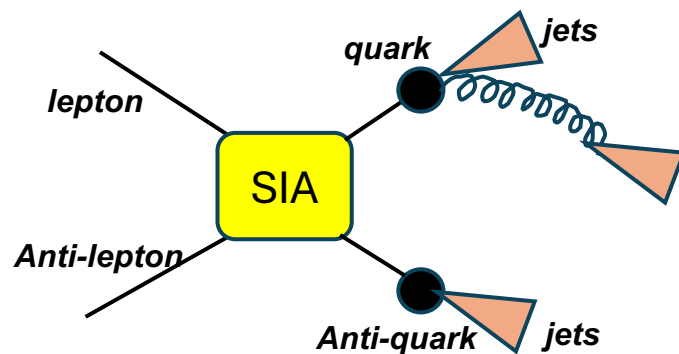
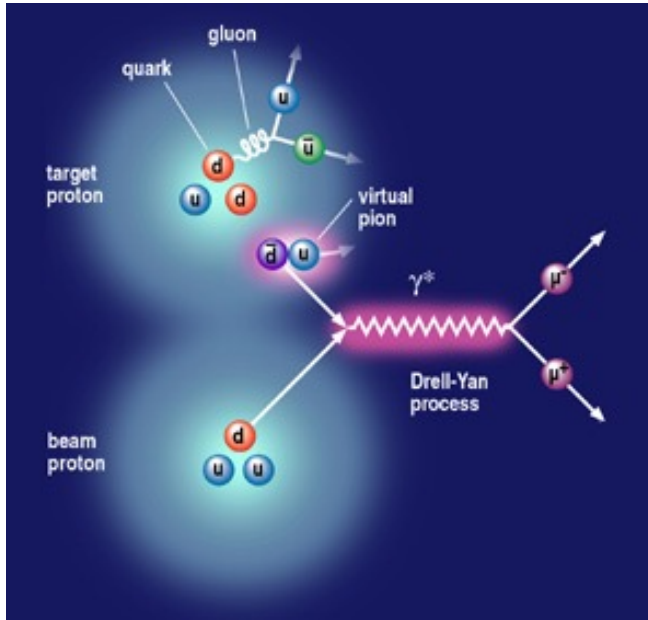
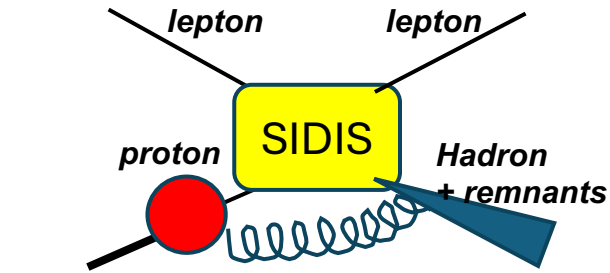
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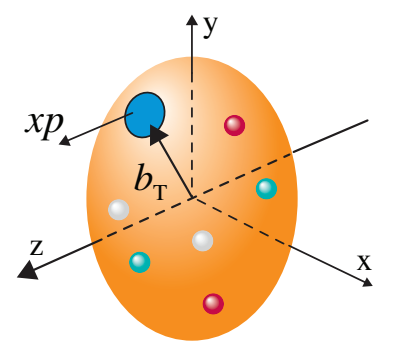
TMDPDFs

Wigner Distributions



$$\Phi(x, k_T; S) = \int \frac{d\xi^- d\xi_T}{(2\pi)^3} e^{ik \cdot \xi} \langle P, S | \bar{\psi}(0) \mathcal{U}_{[0, \xi]} \psi(\xi) | P, S \rangle |_{\xi^+ = 0}$$

Spin 1 TMDPDFs



Leading Twist		Quark Polarization		
		Unpolarized [U]	Longitudinal [L]	Transverse [T]
Target Polarization	U	f_1		$h_1^\perp$
	L		g_1	$h_{1L}^\perp$
	T	$f_{1T}^\perp$	g_{1T}	h_1 $h_{1T}^\perp$
	TENSOR	$f_{1LL}(x, \mathbf{k}_T^2)$ $f_{1TT}(x, \mathbf{k}_T^2)$ $f_{1LT}(x, \mathbf{k}_T^2)$	$g_{1TT}(x, \mathbf{k}_T^2)$ $g_{1LT}(x, \mathbf{k}_T^2)$	$h_{1LL}^\perp(x, \mathbf{k}_T^2)$ $h_{1TT}^\perp(x, \mathbf{k}_T^2)$ $h_{1TT}^\perp(x, \mathbf{k}_T^2)$ $h_{1LT}^\perp(x, \mathbf{k}_T^2)$ $h_{1LT}^\perp(x, \mathbf{k}_T^2)$

Leading Twist		Gluon Polarization		
		Unpolarized	Circular	Linear
Target Polarization	Vector Polarized	U	f_1	$h_1^\perp$
		L		g_1
		T	$f_{1T}^\perp$	g_{1T}
	Tensor Polarized	LL	f_{1LL}	$h_{1LL}^\perp$
		LT	f_{1LT}	g_{1LT}
		TT	f_{1TT}	$h_{1TT}^\perp$ $h_{1TT}^\perp$ $h_{1TT}^\perp$

$$\Phi = \Phi_U + \Phi_L + \Phi_T + \Phi_{LL} + \Phi_{LT} + \Phi_{TT}$$

The collinear correlators after integrating over the momentum,

$$\Phi(x; P, S, T) = \frac{1}{2} \left[\not{P} f_1(x) + S_L \gamma_5 \not{P} g_1(x) + \frac{[\not{B}_T, \not{P}] \gamma_5}{2} h_1(x) \right. \\ \left. + S_{LL} \not{P} f_{1LL}(x) + \frac{[\not{B}_{LT}, \not{P}]}{2} i h_{1LT}(x, k_T^2) \right].$$

$$\Gamma^{ij} = \Gamma_U^{ij} + \Gamma_L^{ij} + \Gamma_T^{ij} + \Gamma_{LL}^{ij} + \Gamma_{LT}^{ij} + \Gamma_{TT}^{ij}$$

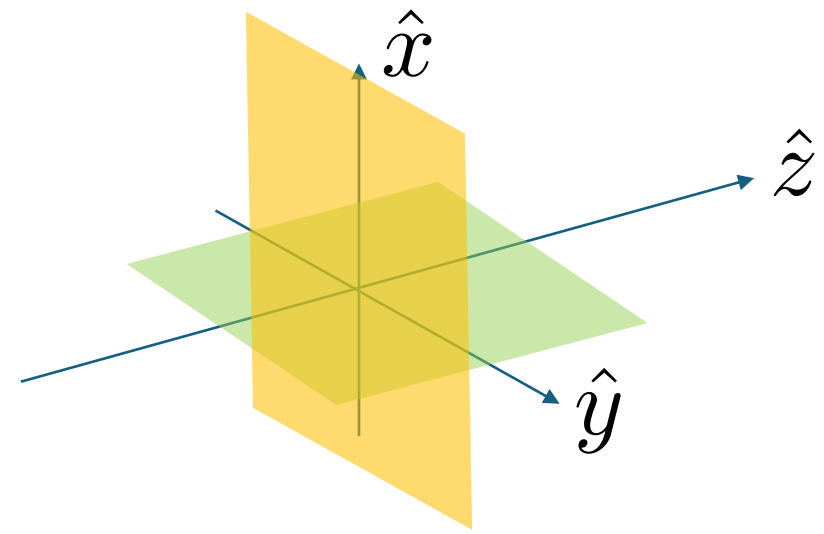
$$\Phi_g^{\alpha\beta}(x) \equiv \int d^2 p_T \Phi_g^{\alpha\beta}(x, \vec{p}_T)$$

$$= \frac{1}{2} \left[-g_T^{\alpha\beta} f_1^g(x) + i \epsilon_T^{\alpha\beta} S_L g_1^g(x) - g_T^{\alpha\beta} S_{LL} f_{1LL}^g(x) \right. \\ \left. + S_{TT}^{\alpha\beta} h_{1TT}^g(x) \right]$$

Deuteron Polarizations

The deuteron polarization density matrix

$$\rho(S, T) = \frac{1}{3} \left(I + \frac{3}{2} S^i \Sigma^i + 3 T^{ij} \Sigma^{ij} \right)$$



Σ_i are 3×3 spin matrices for the deuteron

Σ_{ij} are spin tensors

$$S = (S_T^x, S_T^y, S_L)$$

$$\Sigma_x = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 & 1 & 0 \\ 1 & 0 & 1 \\ 0 & 1 & 0 \end{pmatrix} \quad \Sigma_y = \frac{i}{\sqrt{2}} \begin{pmatrix} 0 & -1 & 0 \\ 1 & 0 & -1 \\ 0 & 1 & 0 \end{pmatrix} \quad \Sigma_z = \begin{pmatrix} 1 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & -1 \end{pmatrix}$$

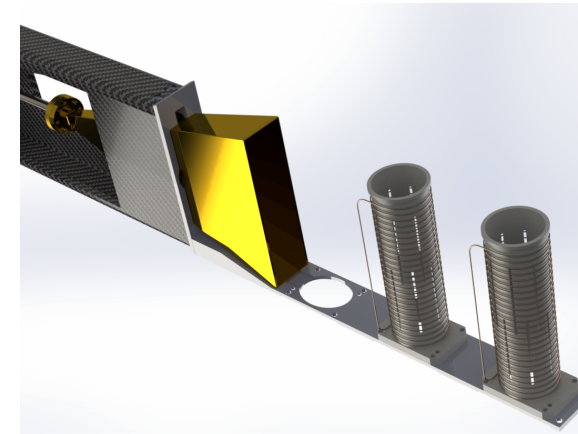
$$\Sigma_{ij} = \frac{1}{2} (\Sigma_i \Sigma_j + \Sigma_j \Sigma_i) - \frac{2}{3} I \delta_{ij}$$

$$T = \frac{1}{2} \begin{pmatrix} -\frac{2}{3} S_{LL} + S_{TT}^{xx} & S_{TT}^{xy} & S_{LT}^x \\ S_{TT}^{xy} & -\frac{2}{3} S_{LL} - S_{TT}^{xx} & S_{LT}^y \\ S_{LT}^x & S_{LT}^y & \frac{4}{3} S_{LL} \end{pmatrix}$$

$$\rho(S, T) = \begin{pmatrix} \frac{1}{3} + \frac{S_L}{2} + \frac{S_{LL}}{3} & \frac{S_T^x - i S_T^y}{2\sqrt{2}} + \frac{S_{LT}^x - i S_{LT}^y}{2\sqrt{2}} & \frac{S_{TT}^{xx} - i S_{TT}^{xy}}{2} \\ \frac{S_T^{x+iS_T^y}}{2\sqrt{2}} + \frac{S_{LT}^x + i S_{LT}^y}{2\sqrt{2}} & \frac{1}{3} - \frac{2S_{LL}}{3} & \frac{S_T^x - i S_T^y}{2\sqrt{2}} - \frac{S_{LT}^x - i S_{LT}^y}{2\sqrt{2}} \\ \frac{S_{TT}^{xx} + i S_{TT}^{xy}}{2} & \frac{S_T^x + i S_T^y}{2\sqrt{2}} - \frac{S_{LT}^x + i S_{LT}^y}{2\sqrt{2}} & \frac{1}{3} - \frac{S_L}{2} + \frac{S_{LL}}{3} \end{pmatrix}$$

Tensor Polarization Enhancement

- ✓ DNP microwaves
- ✓ Additional RF: Semi-Saturating RF (ss-RF) irradiation → to maximize Tensor polarization
- ✓ Continuous Wave NMR (CW-NMR)
- ✓ The rate depends on the intensity level and the applied magnetic field strength of the RF power.



J. Clement and D. Keller (2023) [<https://doi.org/10.1016/j.nima.2023.168177>]

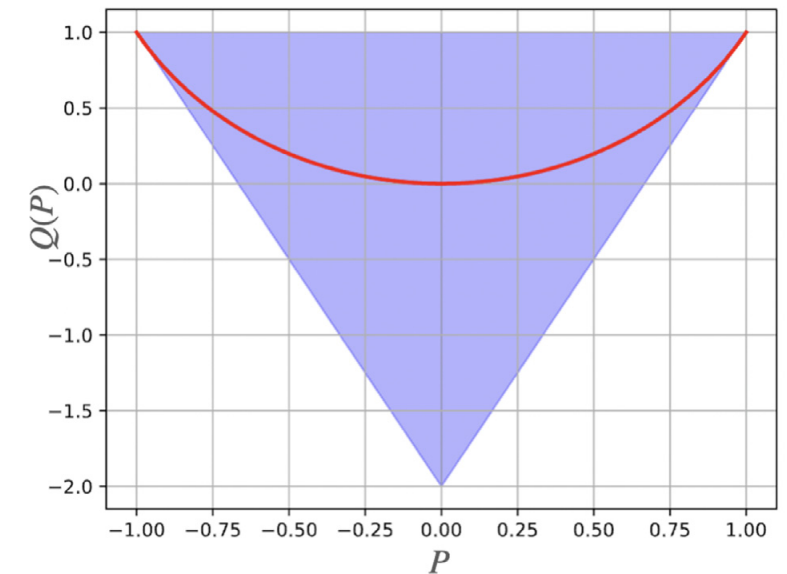
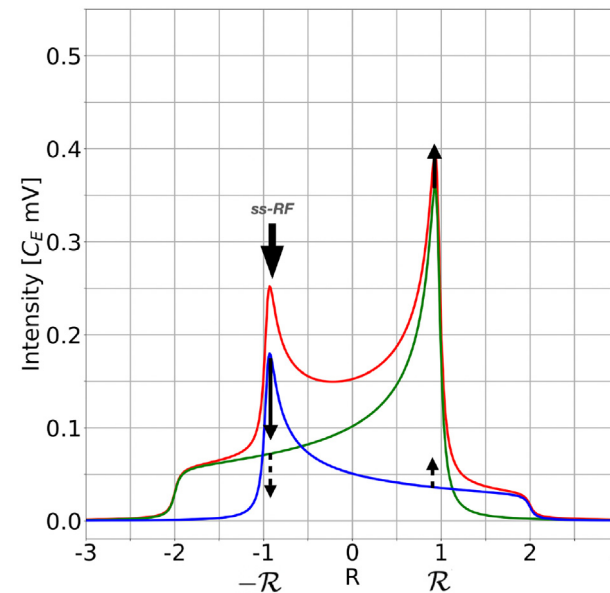
Under normal DNP-enhancement, conditions, the system is in Boltzmann equilibrium and Q_n can be calculated directly from P_n

$$Q_n = 2 - \sqrt{4 - 3P_n^2}$$

Three Principles for Enhanced Tensor Polarization

- ❖ Differential Binning
- ❖ Spin Temperature Consistency
- ❖ Rate Response

See Talks by Dustin, Forhad, Devin for more details



SIDIS Cross-Section for Deuteron Target

$$\frac{d\sigma_{\text{Tens}}}{dx_d dy dz d\phi_h d\psi dP_{h\perp}^2} = \frac{\alpha^2}{x_d y Q^2} \frac{y^2}{2(1-\varepsilon)} \left(1 + \frac{\gamma^2}{2x_d}\right) \left\{ S_{LL} \left[F_{U(LL),T} + \varepsilon F_{U(LL),L} + \sqrt{2\varepsilon(1+\varepsilon)} \cos \phi_h F_{U(LL)}^{\cos \phi_h} \right. \right. \\ \left. \left. + \varepsilon \cos(2\phi_h) F_{U(LL)}^{\cos 2\phi_h} + \lambda_e \sqrt{2\varepsilon(1-\varepsilon)} \sin \phi_h F_{L(LL)}^{\sin \phi_h} \right] \right. \\ \left. + |S_{LT}| \left[\cos(\phi_h - \phi_{LT}) \left(F_{U(LT),T}^{\cos(\phi_h - \phi_{LT})} + \varepsilon F_{U(LT),L}^{\cos(\phi_h - \phi_{LT})} \right) \right. \right. \\ \left. \left. + \sqrt{2\varepsilon(1+\varepsilon)} \left(\cos \phi_{LT} F_{U(LT)}^{\cos \phi_{LT}} + \cos(2\phi_h - \phi_{LT}) F_{U(LT)}^{\cos(2\phi_h - \phi_{LT})} \right) \right. \right. \\ \left. \left. + \varepsilon \left(\cos(\phi_h + \phi_{LT}) F_{U(LT)}^{\cos(\phi_h + \phi_{LT})} + \cos(3\phi_h - \phi_{LT}) F_{U(LT)}^{\cos(3\phi_h - \phi_{LT})} \right) \right. \right. \\ \left. \left. + \lambda_e \sqrt{2\varepsilon(1-\varepsilon)} \left(\sin \phi_{LT} F_{L(LT)}^{\sin \phi_{LT}} + \sin(2\phi_h - \phi_{LT}) F_{L(LT)}^{\sin(2\phi_h - \phi_{LT})} \right) \right. \right. \\ \left. \left. + \lambda_e \sqrt{1-\varepsilon^2} \sin(\phi_h - \phi_{LT}) F_{L(LT)}^{\sin(\phi_h - \phi_{LT})} \right] \right\}$$

$$\left. \left. + |S_{TT}| \left[\cos(2\phi_h - 2\phi_{TT}) \left(F_{U(TT),T}^{\cos(2\phi_h - 2\phi_{TT})} + \varepsilon F_{U(TT),L}^{\cos(2\phi_h - 2\phi_{TT})} \right) \right. \right. \right. \\ \left. \left. + \sqrt{2\varepsilon(1+\varepsilon)} \left(\cos(\phi_h - 2\phi_{TT}) F_{U(TT)}^{\cos(\phi_h - 2\phi_{TT})} + \cos(3\phi_h - 2\phi_{TT}) F_{U(TT)}^{\cos(3\phi_h - 2\phi_{TT})} \right) \right. \right. \\ \left. \left. + \varepsilon \left(\cos(2\phi_{TT}) F_{U(TT)}^{\cos(2\phi_{TT})} + \cos(4\phi_h - 2\phi_{TT}) F_{U(TT)}^{\cos(4\phi_h - 2\phi_{TT})} \right) \right. \right. \\ \left. \left. + \lambda_e \sqrt{2\varepsilon(1-\varepsilon)} \left(\sin(\phi_h - 2\phi_{TT}) F_{L(TT)}^{\sin(\phi_h - 2\phi_{TT})} + \sin(3\phi_h - 2\phi_{TT}) F_{L(TT)}^{\sin(3\phi_h - 2\phi_{TT})} \right) \right. \right. \\ \left. \left. + \lambda_e \sqrt{1-\varepsilon^2} \sin(2\phi_h - 2\phi_{TT}) F_{L(TT)}^{\sin(2\phi_h - 2\phi_{TT})} \right] \right\},$$

With Transversely
Tensor Polarized
Target

Structure functions related to Transversely Tensor Polarized Targets

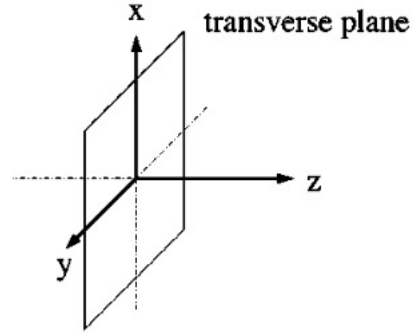
With Unpolarized Beam

$$\begin{aligned}
 F_{U(TT),T}^{\cos(2\phi_h-2\phi_{LT})} &= \mathcal{C} \left[-\frac{2(\hat{\mathbf{h}} \cdot \mathbf{p}_T)^2 - \mathbf{p}_T^2}{M^2} f_{1TT} D_1 \right], \\
 F_{U(TT),L}^{\cos(2\phi_h-2\phi_{LT})} &= 0, \\
 F_{U(TT)}^{\cos(\phi_h-2\phi_{TT})} &= \frac{2M}{Q} \mathcal{C} \left\{ \frac{\hat{\mathbf{h}} \cdot \mathbf{p}_T}{M} (x f_{TT} D_1 - \frac{M_h}{M} h_{1TT} \frac{\tilde{H}}{z}) \right. \\
 &\quad + \frac{(\hat{\mathbf{h}} \cdot \mathbf{k}_T) \mathbf{p}_T^2 - 2(\hat{\mathbf{h}} \cdot \mathbf{p}_T)(\mathbf{k}_T \cdot \mathbf{p}_T)}{2M^2 M_h} \left[\left(x h_{TT} H_1^\perp - \frac{M_h}{M} g_{1TT} \frac{\tilde{G}^\perp}{z} \right) \right. \\
 &\quad \left. \left. + \left(x h_{TT}^\perp H_1^\perp - \frac{M_h}{M} f_{1TT} \frac{\tilde{D}^\perp}{z} \right) \right] \right\}, \\
 F_{U(TT)}^{\cos(3\phi_h-2\phi_{TT})} &= \frac{2M}{Q} \mathcal{C} \left\{ \frac{3(\hat{\mathbf{h}} \cdot \mathbf{p}_T)(2(\hat{\mathbf{h}} \cdot \mathbf{p}_T)^2 - \mathbf{p}_T^2)}{2M^3} \left(x f_{TT}^\perp D_1 + \frac{M_h}{M} h_{1TT}^\perp \frac{\tilde{H}^\perp}{z} \right) \right. \\
 &\quad + \frac{4(\mathbf{h} \cdot \mathbf{k}_T)(\mathbf{h} \cdot \mathbf{p}_T)^2 - 2(\mathbf{h} \cdot \mathbf{p}_T)(\mathbf{k}_T \cdot \mathbf{p}_T) - (\mathbf{h} \cdot \mathbf{k}_T) \mathbf{p}_T^2}{2M^2 M_h} \\
 &\quad \left. \times \left[\left(x h_{TT}^\perp H_1^\perp + \frac{M_h}{M} f_{1TT} \frac{\tilde{D}^\perp}{z} \right) - \left(x h_{TT} H_1^\perp + \frac{M_h}{M} g_{1TT} \frac{\tilde{G}^\perp}{z} \right) \right] \right\}, \\
 F_{U(TT)}^{\cos(2\phi_{TT})} &= \mathcal{C} \left[\frac{\mathbf{k}_T \cdot \mathbf{p}_T}{M M_h} h_{1TT} H_1^\perp \right], \\
 F_{U(TT)}^{\cos(4\phi_h-2\phi_{TT})} &= \mathcal{C} \left[- \left(\frac{4(\hat{\mathbf{h}} \cdot \mathbf{k}_T)(\hat{\mathbf{h}} \cdot \mathbf{p}_T) \mathbf{p}_T^2 - 8(\hat{\mathbf{h}} \cdot \mathbf{k}_T)(\hat{\mathbf{h}} \cdot \mathbf{p}_T)^3}{2M^3 M_h} \right. \right. \\
 &\quad \left. \left. + \frac{4(\mathbf{k}_T \cdot \mathbf{p}_T)(\hat{\mathbf{h}} \cdot \mathbf{p}_T)^2 - (\mathbf{k}_T \cdot \mathbf{p}_T) \mathbf{p}_T^2}{2M^3 M_h} \right) h_{1TT}^\perp H_1^\perp \right],
 \end{aligned}$$

With Longitudinally Polarized Beam

$$\begin{aligned}
 F_{L(TT)}^{\sin(\phi_h-2\phi_{TT})} &= \frac{2M}{Q} \mathcal{C} \left\{ \frac{\hat{\mathbf{h}} \cdot \mathbf{p}_T}{M} \left(x g_{TT} D_1 + \frac{M_h}{M} h_{1TT} \frac{\tilde{E}}{z} \right) \right. \\
 &\quad - \frac{(\hat{\mathbf{h}} \cdot \mathbf{k}_T) \mathbf{p}_T^2 - 2(\hat{\mathbf{h}} \cdot \mathbf{p}_T)(\mathbf{k}_T \cdot \mathbf{p}_T)}{2M^2 M_h} \left[\left(x e_{TT} H_1^\perp - \frac{M_h}{M} f_{1TT} \frac{\tilde{G}^\perp}{z} \right) \right. \\
 &\quad \left. \left. - \left(x e_{TT}^\perp H_1^\perp - \frac{M_h}{M} g_{1TT} \frac{\tilde{D}^\perp}{z} \right) \right] \right\}, \\
 F_{L(TT)}^{\sin(3\phi_h-2\phi_{TT})} &= \frac{2M}{Q} \mathcal{C} \left\{ -\frac{3(\hat{\mathbf{h}} \cdot \mathbf{p}_T)(2(\hat{\mathbf{h}} \cdot \mathbf{p}_T)^2 - \mathbf{p}_T^2)}{2M^3} \left(x g_{TT}^\perp D_1 + \frac{M_h}{M} h_{1TT}^\perp \frac{\tilde{E}}{z} \right) \right. \\
 &\quad + \frac{4(\mathbf{h} \cdot \mathbf{k}_T)(\mathbf{h} \cdot \mathbf{p}_T)^2 - 2(\mathbf{h} \cdot \mathbf{p}_T)(\mathbf{k}_T \cdot \mathbf{p}_T) - (\mathbf{h} \cdot \mathbf{k}_T) \mathbf{p}_T^2}{2M^2 M_h} \\
 &\quad \left. \times \left[\left(x e_{TT} H_1^\perp + \frac{M_h}{M} f_{1TT} \frac{\tilde{G}^\perp}{z} \right) + \left(x e_{TT}^\perp H_1^\perp + \frac{M_h}{M} g_{1TT} \frac{\tilde{D}^\perp}{z} \right) \right] \right\}, \\
 F_{L(TT)}^{\sin(2\phi_h-2\phi_{TT})} &= \mathcal{C} \left[-\frac{2(\hat{\mathbf{h}} \cdot \mathbf{p}_T)^2 - \mathbf{p}_T^2}{M^2} g_{1TT} D_1 \right],
 \end{aligned}$$

Deuteron Polarization Orientations



$$S_{LL} = \frac{\text{Diagram 1} + \text{Diagram 2}}{2} - \text{Diagram 3}$$

The diagram shows three circles representing deuterons. The first two are in the top part of the equation, each with a horizontal line through its center and a shaded half. The third is in the bottom part, also with a horizontal line and shaded half. The first two are separated by a plus sign, and the entire sum is divided by 2. This is then subtracted from the third circle.

$$S_{LT}^x = \text{Diagram 1} - \text{Diagram 2}$$

The diagram shows two squares, each containing a circle with a diagonal line from the top-left to the bottom-right. The first square has the circle shaded on the left, and the second has it shaded on the right. They are separated by a minus sign.

$$S_{LT}^y = \text{Diagram 1} - \text{Diagram 2}$$

The diagram shows two parallelograms, each containing a circle with a diagonal line from the top-left to the bottom-right. The first parallelogram has the circle shaded on the left, and the second has it shaded on the right. They are separated by a minus sign.

$$S_{TT}^{xy} = \text{Diagram 1} - \text{Diagram 2}$$

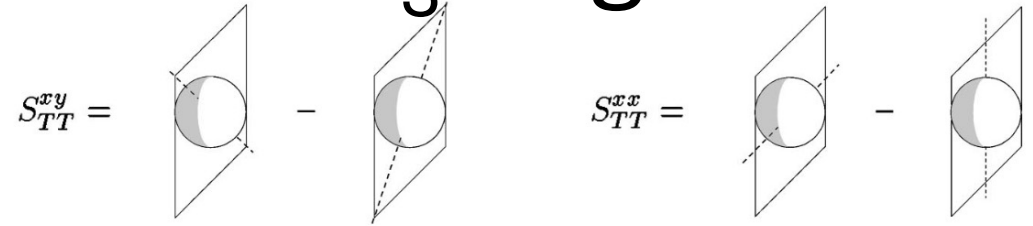
The diagram shows two parallelograms, each containing a circle with a diagonal line from the top-left to the bottom-right. The first parallelogram has the circle shaded on the left, and the second has it shaded on the right. They are separated by a minus sign.

$$S_{TT}^{xx} = \text{Diagram 1} - \text{Diagram 2}$$

The diagram shows two parallelograms, each containing a circle with a diagonal line from the top-left to the bottom-right. The first parallelogram has the circle shaded on the left, and the second has it shaded on the right. They are separated by a minus sign.

The prospective (tentative) plan with transversely tensor polarized ND₃ target

$$\frac{d\sigma_{(TT)}(l + d \rightarrow l' + h + X)}{dx dy d\phi_h d^2\mathbf{P}_{h\perp}} = \frac{y\alpha^2}{2(1-\epsilon)xQ^2} \left(1 + \frac{\gamma^2}{2x}\right)$$



$$\times \left[\underbrace{\left(F_{U(TT)}^{\cos(2\phi_h - 2\phi_{TT})} + F_{U(TT)}^{\cos(\phi_h - 2\phi_{TT})} + F_{U(TT)}^{\cos(3\phi_h - 2\phi_{TT})} + F_{U(TT)}^{\cos(2\phi_{TT})} + F_{U(TT)}^{\cos(4\phi_h - 2\phi_{TT})} \right)}_{\text{with unpolarized lepton beam}} + \underbrace{\left(F_{L(TT)}^{\sin(\phi_h - 2\phi_{TT})} + F_{L(TT)}^{\sin(3\phi_h - 2\phi_{TT})} + F_{L(TT)}^{\sin(2\phi_h - 2\phi_{TT})} \right)}_{\text{with longitudinally polarized lepton beam}} \right]$$

The dominant/leading contribution
Will be from this Structure function
Where as the other terms suppressed
By the higher twist and order 1/Mn

$$F_{U(TT),T}^{\cos(2\phi_h - 2\phi_{LT})} = \mathcal{C} \left[-\frac{2(\hat{\mathbf{h}} \cdot \mathbf{p}_T)^2 - \mathbf{p}_T^2}{M^2} f_{1TT} D_1 \right]$$

Tensor-Cahn like quadrupole

$$F_{U(TT)}^{\cos(2\phi_{TT})} = \mathcal{C} \left[\frac{\mathbf{k}_T \cdot \mathbf{p}_T}{MM_h} h_{1TT} H_1^\perp \right]$$

Tensor Transversity

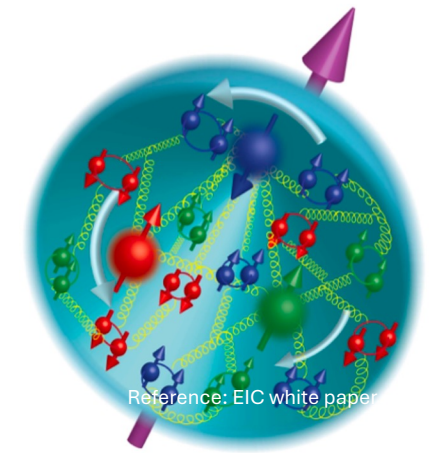
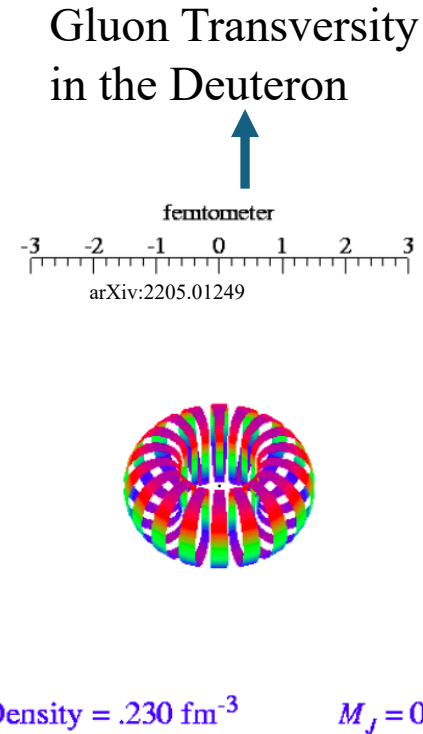
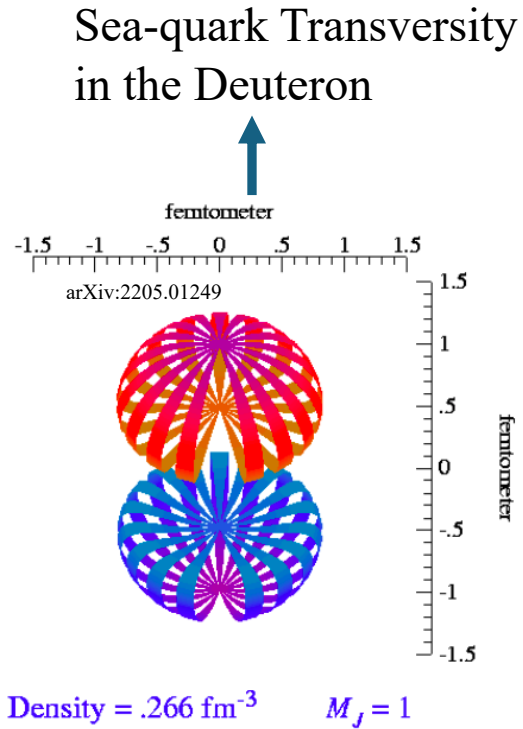
$$F_{L(TT)}^{\sin(2\phi_h - 2\phi_{TT})} = \mathcal{C} \left[-\frac{2(\hat{\mathbf{h}} \cdot \mathbf{p}_T)^2 - \mathbf{p}_T^2}{M^2} g_{1TT} D_1 \right]$$

Worm gear type / helicity counter-part

Transversity PDF distributions

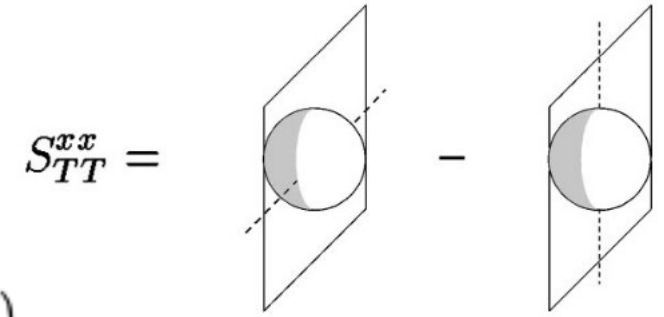
$$h_1 = \text{transversity}$$

Distribution of transversely polarized quarks (or gluons) in a transversely polarized nucleon.



- The deuteron is the simplest spin-1 system and offers a vast array of observables to explore as we begin to build the composite spin picture of nuclei.
- We proposed the first ever Spin-1 TMD measurements using a polarized deuteron target, including a direct measurement of gluon transversity, while also for the first time measuring the sea-quark transversity distribution of the deuteron/neutron (at FNAL).
- We are going to propose a complementary measurement with SIDIS process at JLab, and a follow up series of experiments as a collaborative effort of this Tensor Collaboration!

Gluon Transversity



$$\frac{2\pi d\sigma(lH^\uparrow \rightarrow l'hX)}{d\phi dx_B dz_h dy}(E_x - E_y) = \frac{2\alpha^2(1-y)}{Q^2 y} \cos(2\phi_h) h_{1TT}^g(x_B, Q^2) H_1^\perp(z_h)$$

The differential cross-section from the longitudinal tensor polarized contribution is assumed to be negligible compared to the transversely tensor polarized contribution

The generalized experimental gluon transversity asymmetry can then be written as,

$$A_{E_{xy}} = \frac{1}{f P_{zz}} \frac{\sigma_{ed \rightarrow e' \pi X}^{E_x} - \sigma_{ed \rightarrow e' \pi X}^{E_y}}{\sigma_{ed \rightarrow e' \pi X}^{E_x} + \sigma_{ed \rightarrow e' \pi X}^{E_y}},$$

$$\frac{1}{P_{zz}} N^{E_x} = \frac{1}{P'} N^{E_\pm, E_x} - \frac{1}{P} N^{E_\pm}, \quad \text{where } P_{zz} \text{ is the target ensemble tensor polarization pertaining to the tensor polarized cross-section events } N^{E_x}$$

- There are several ways to build a gluon transversity asymmetry using different quantization axes and polarized target configurations
- σ^{E_x} can be measured with either a purely tensor polarized target or as the difference between an enhanced tensor polarized target and a purely vector polarized target.
- A purely vector polarized target is significantly easier to make compared to a purely tensor polarized target, so this is our preferred method: access to **sea-quark transversity** as well.

RGH Status

Run Group H

PAC39 2012

Experiment	Contact	Title	Rating	PAC days
C12-11-111	M. Contalbrigo	Transverse spin effect in SIDIS at 11 GeV with a transversely polarized target using CLAS12	A	110
C12-12-009	H. Avakian	Measurement of transversity with di-hadron production in SIDIS with a transversely polarized target	A	110
C12-12-010	L. Elouadrhiri	Deeply Virtual Compton scattering at 11 GeV with transversely polarized target using the CLAS12 detector	A	110

Access to unique observables in

SIDIS hadron

SIDIS Di-hadron

DVCS

Gather unprecedented information on

Transversity

Tensor charge

Sivers, $h_{1T}^\perp$, $g_{1T}^\perp$, $H_1^\perp$

GPD E

quark OAM

All RGH experiments selected among the high impact JLab measurements PAC42 [2014]

RGH experiment status (with HDice) confirmed at PAC48 in 2020 (during jeopardy process) with C1 condition on target performance

RGH status modified to C2 in 2024 (during jeopardy process) to properly evaluate the target change

✓ GEANT simulations ✓ Impact study ✓ Systematics

From Marco's slides:

https://www.fe.infn.it/~mcontalb/JLAB12/TALKs/PAC53/rg_h_250723.pdf

RGH Status

RGH Target & Magnet

Most viable solution to prioritize physics

Consolidated dynamically polarized NH_3 technology

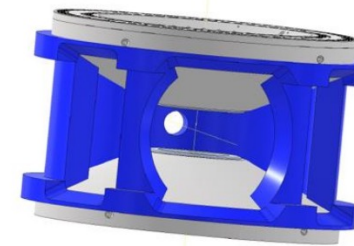
Designed based on already successful realizations

Hall-A G2p-Gep target (replica optimized for HTCC)

Hall-C E12-15-005 magnet (replica optimized for recoil detection)



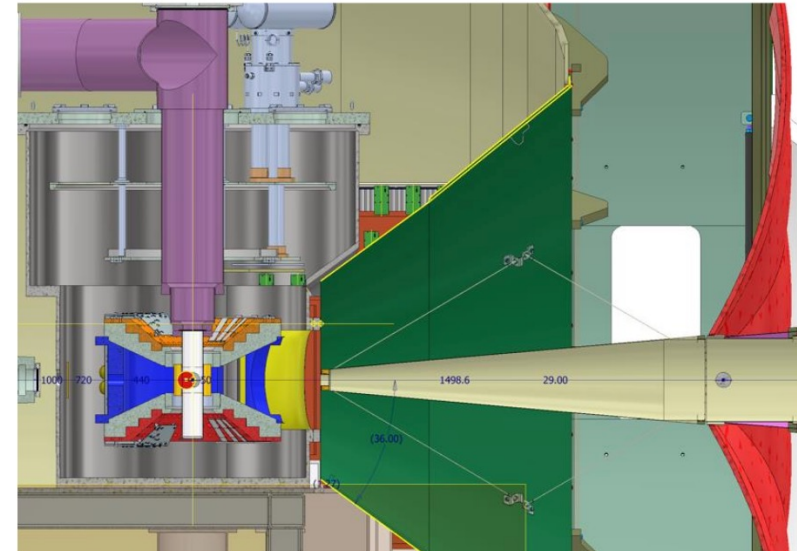
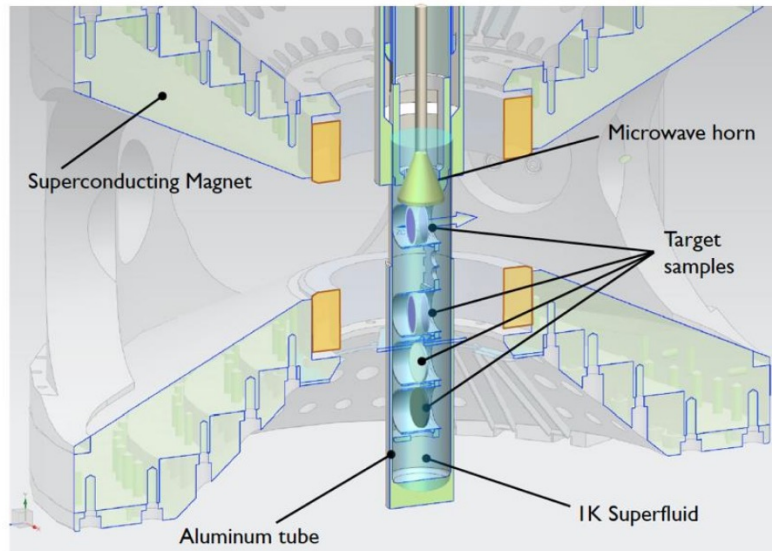
Magnet



5T dipole
acceptance:

$\pm 25^\circ$ vertical

$\pm 65^\circ$ horizontal

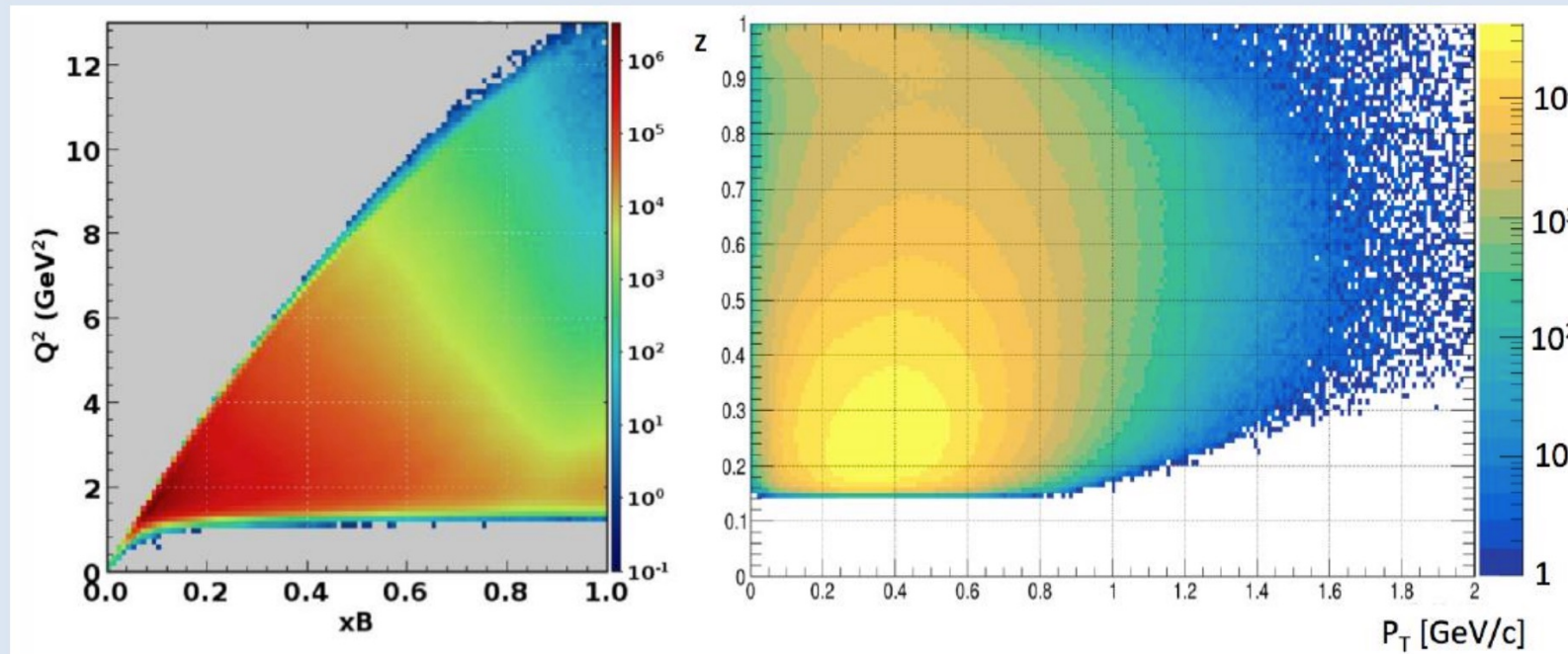


RGH Status

CLAS12 Kinematic Reach

Features: wide phase space cover, excellent PID and statistics optimized for a multi-D analysis

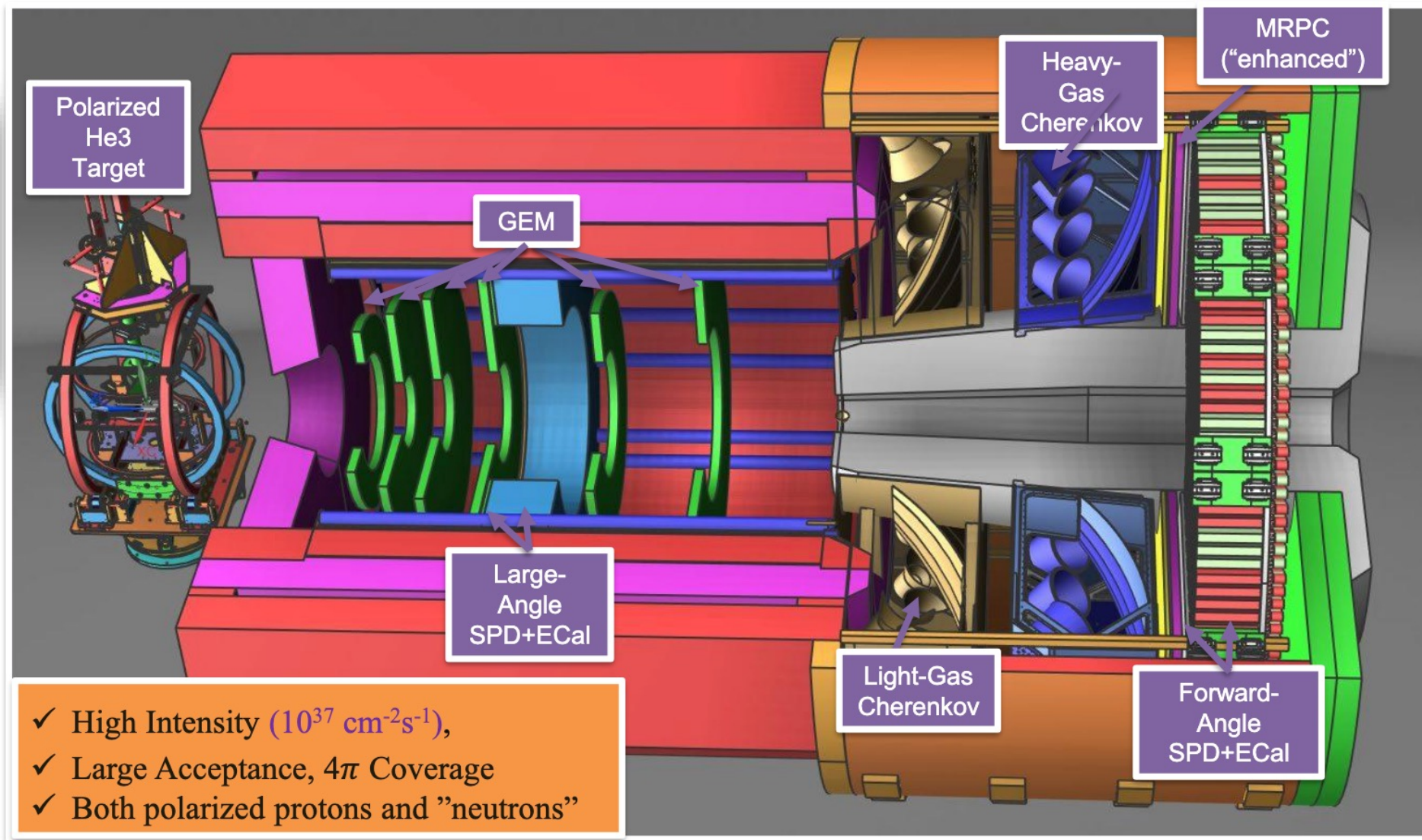
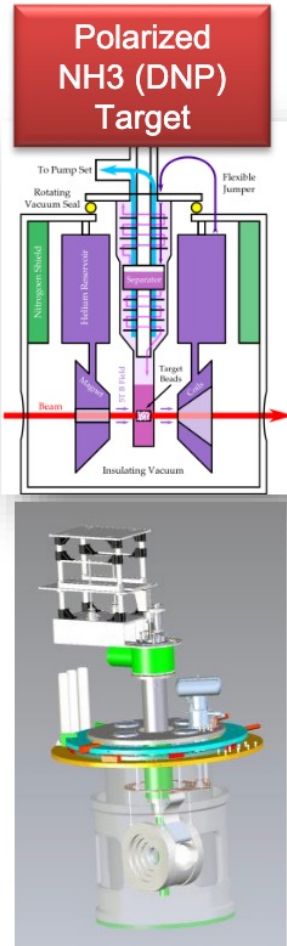
- disentangle kinematical correlations
- verify expected dependences (e.g. in Q^2) and isolate peculiar regimes (e.g. in z)
- study transition regions (e.g. in P_T)



From Marco's slides:

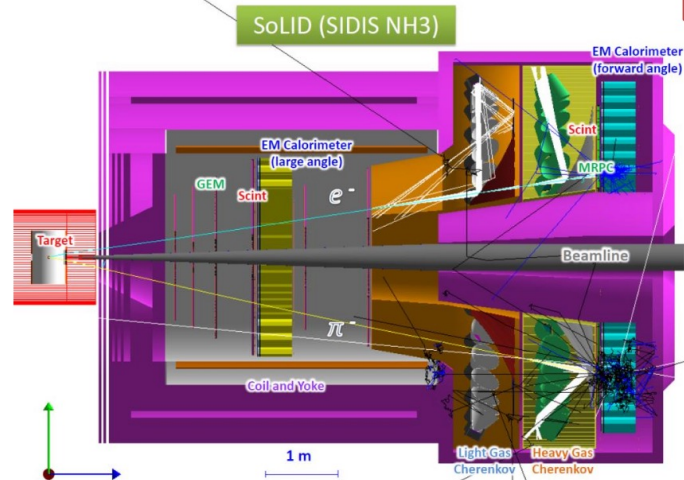
https://www.fe.infn.it/~mcontalb/JLAB12/TALKs/PAC53/rg_h_250723.pdf

Prospective Plans with SoLID (Hall A)



Prospective Plans with SoLID (Hall A)

SoLID SIDIS NH₃ Setup



Polarized lumi $\sim 1e^{35}/\text{cm}^2/\text{s}$
 Unpolarized lumi $\sim 6e^{35}/\text{cm}^2/\text{s}$

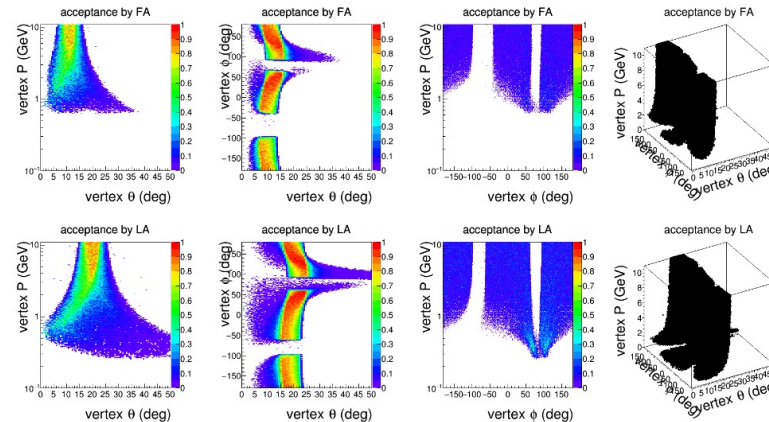
e^- acceptance shown
 π^- acceptance is similar
 π^+ acceptance is reversed
 along $\phi=0$ plane

- E12-10-008: SIDIS pion on transversely polarized proton (NH₃), 120 days, **rated A**
- SIDIS kaon and dihadron as run groups

Detection is similar to He3 setup

Coverage is similar to He3 setup except some distortion from the target field

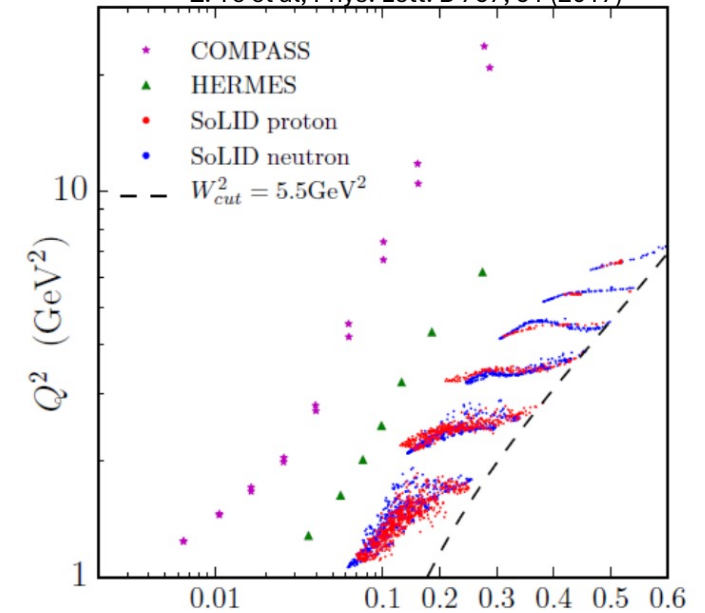
5T transverse target field
 High radiation sheet of flame areas need to be cut away or shielded



+ ND3 Setup

Kinematic Coverage

Z. Ye et al, Phys. Lett. B 767, 91 (2017)



$0.05 < x < 0.6$
 $1\text{GeV}^2 < Q^2 < 8\text{GeV}^2$
 $0.3 < z < 0.7$
 $0 < P_T < 1.6\text{GeV}$



The prospective (tentative) plan with transversely tensor polarized ND₃ target

- Proposals for JLab PAC (2026)

$$F_{U(TT),T}^{\cos(2\phi_h-2\phi_{LT})} = C \left[- \frac{2(\hat{\mathbf{h}} \cdot \mathbf{p}_T)^2 - \mathbf{p}_T^2}{M^2} f_{1TT} D_1 \right]$$

$$F_{L(TT)}^{\sin(2\phi_h-2\phi_{TT})} = C \left[- \frac{2(\hat{\mathbf{h}} \cdot \mathbf{p}_T)^2 - \mathbf{p}_T^2}{M^2} g_{1TT} D_1 \right]$$

$$F_{U(TT)}^{\cos(2\phi_{TT})} = C \left[\frac{\mathbf{k}_T \cdot \mathbf{p}_T}{MM_h} h_{1TT} H_1^\perp \right]$$

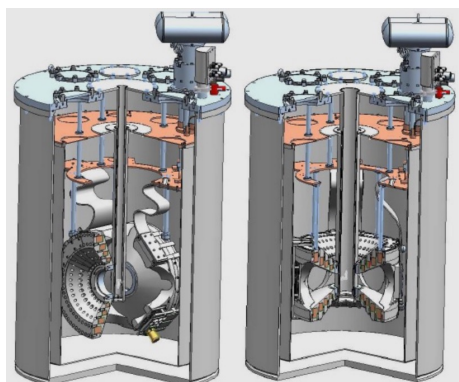
Exploring

(needs to be discussed with JLab Target group)

First Generation Tensor Experiments

Using lower temps and lower intensity: 1K and 5T

To run sequentially after the data taking for $F_{U,(LL)}$
@ Hall C (see Nathaly's talk)



Pic credits C. Keith (JLab)

- Proposals (2027<)

- * An addition to RGH (Hall B) program: Gluon Transversity in SIDIS

Note: Complementary to the measurement with DY (FNAL)

Needs to be discussed with RGH

[Stage 1 Approval (March 2025)] https://pac.fnal.gov/wp-content/uploads/2025/04/PAC_Report_March_2025_Public.pdf

- * Hall A (SoLID)

With high statistics

Needs to be discussed with SoLID Collaboration

$$F_{U(TT),T}^{\cos(2\phi_h-2\phi_{LT})} = C \left[- \frac{2(\hat{\mathbf{h}} \cdot \mathbf{p}_T)^2 - \mathbf{p}_T^2}{M^2} f_{1TT} D_1 \right]$$

$$F_{L(TT)}^{\sin(2\phi_h-2\phi_{TT})} = C \left[- \frac{2(\hat{\mathbf{h}} \cdot \mathbf{p}_T)^2 - \mathbf{p}_T^2}{M^2} g_{1TT} D_1 \right]$$

Thank you



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