

RG-M Analysis Update

Andrew Denniston



Overview

- Run Group M Introduction
- Proton and Electron Cuts
- Neutron Algorithms
- LAr target
- Physics Analyses
 - Short Range Correlations (SRCs)
 - Electrons for Neutrinos (e4v)

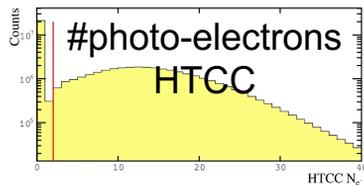
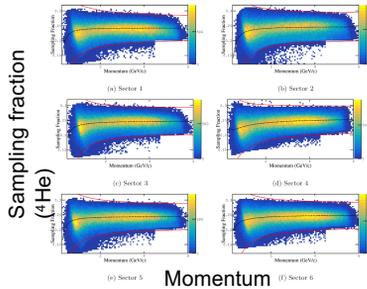
RG-M Experiment at CLAS12

- November 2021 – February 2022
- Fully cooked production runs
- 2, 4, and 6 GeV Beam Energies
- H, D, He, C, ^{40}Ca , ^{48}Ca , Ar, and Sn

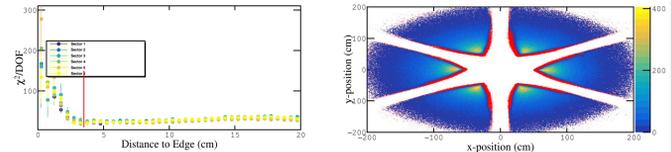


Particle ID for Electrons in 6 GeV data

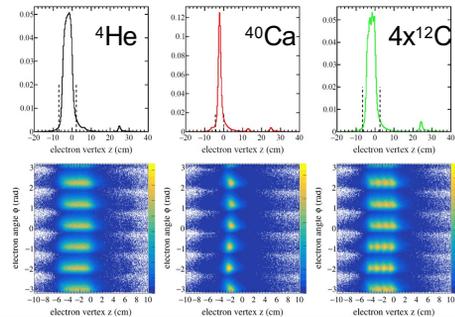
(charge, HTCC photo-electrons, $\Delta E(\text{PCal})$, Sampling fraction)



Fiducial Cuts

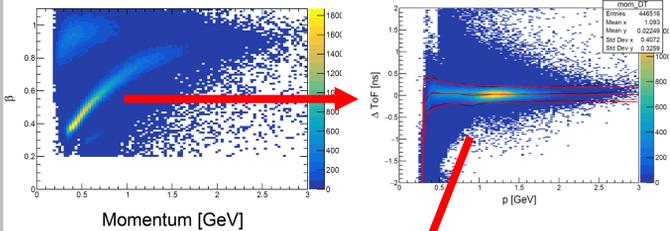


z Vertex

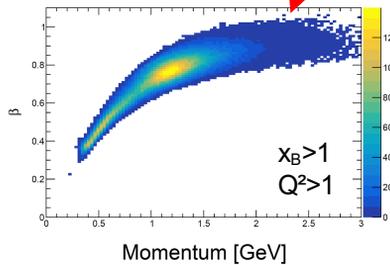


Particle ID for Protons in 6 GeV data

Central detector ID in ΔToF (=measured - expected)

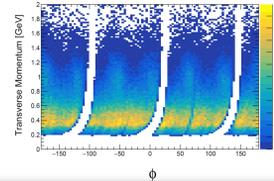


Momentum [GeV]

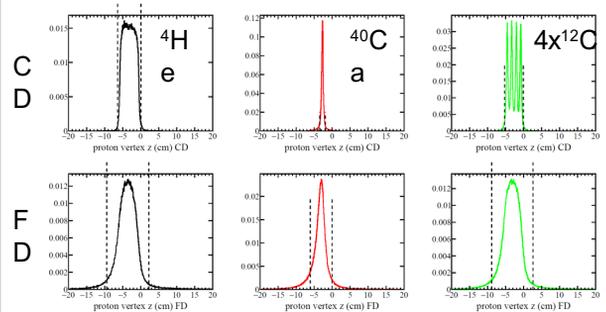


Momentum [GeV]

Fiducial Cuts



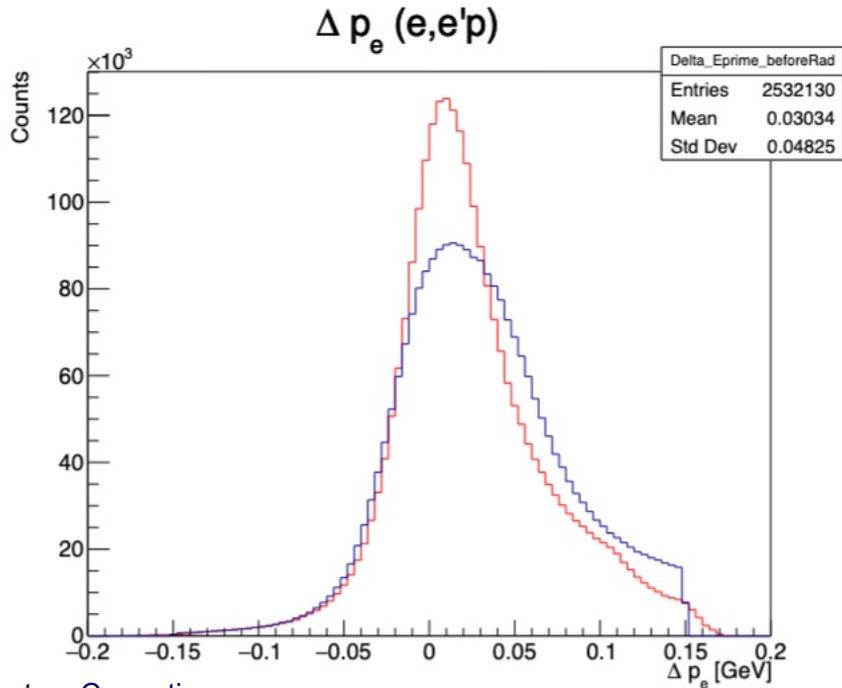
z Vertex



Additional on Detector Level Analysis

- Energy Loss Corrections
- Angular Corrections
- Momentum Corrections
- Momentum Smearing Simulation
- Vertex Resolution

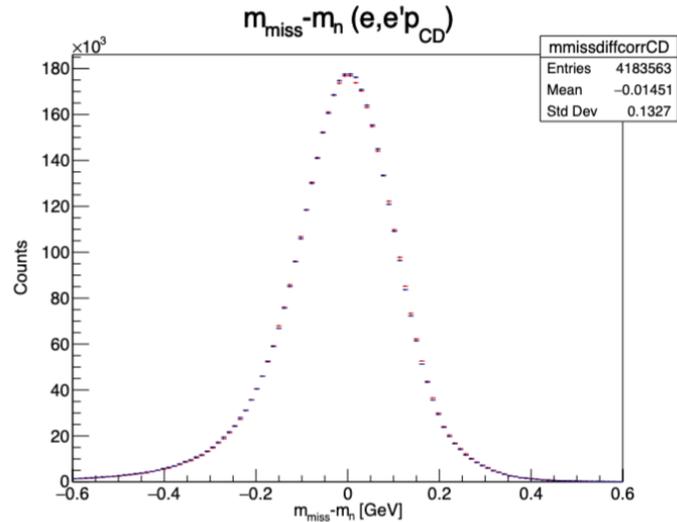
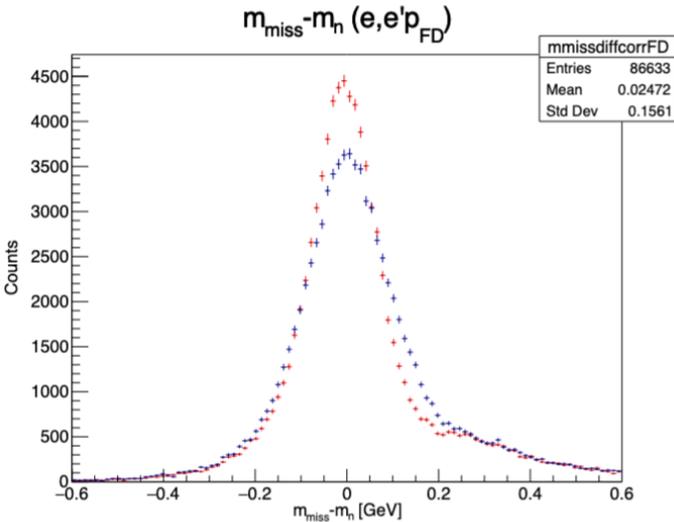
Momentum Corrections Improve Resolution



Before Momentum Correction

After Momentum Correction

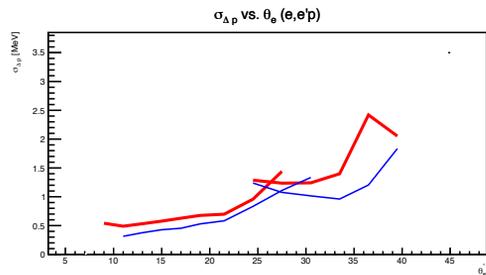
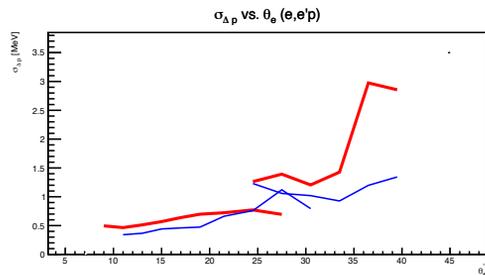
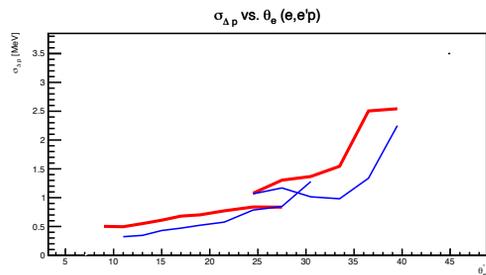
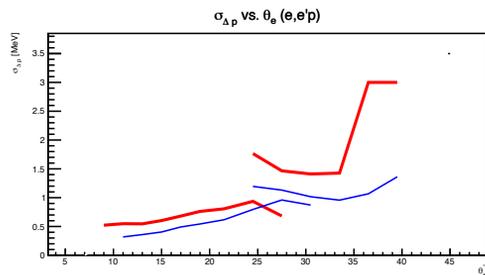
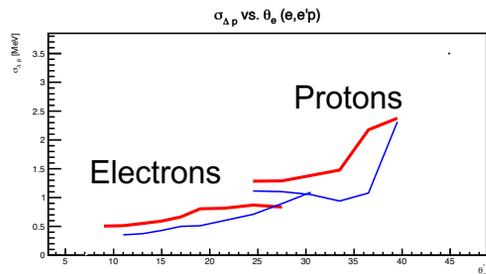
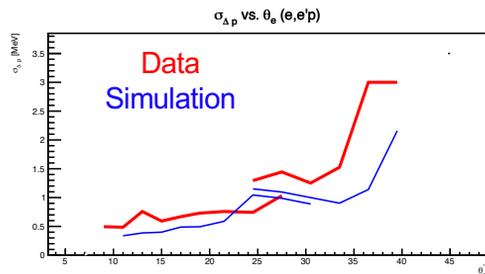
Applying Corrections to $d(e, e'p)n$



Before Momentum Correction

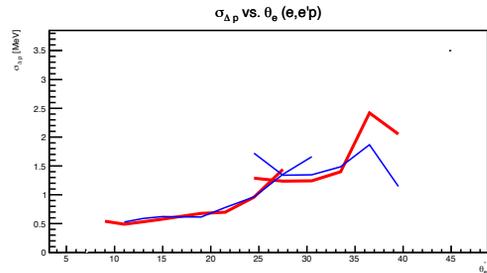
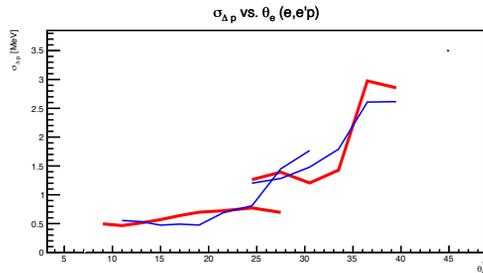
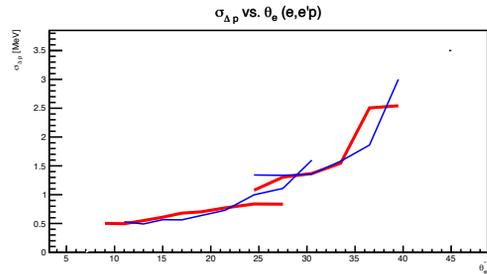
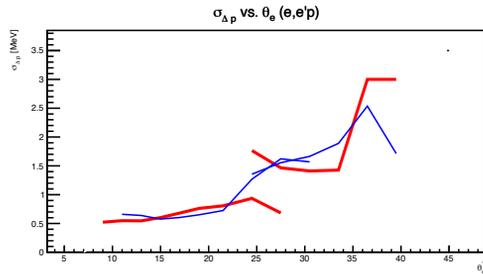
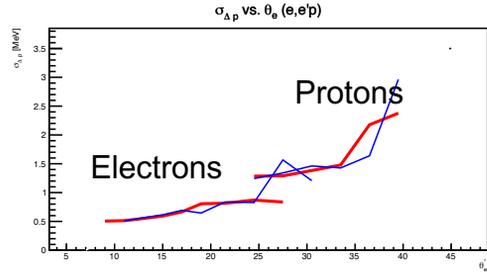
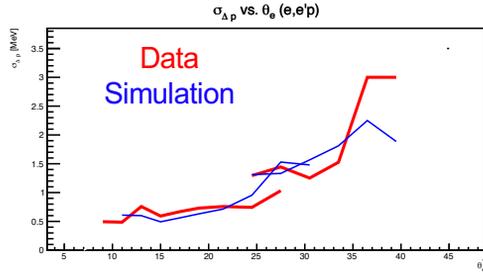
After Momentum Correction

Data vs. Simulation



Resolution
 $\frac{p_{\text{angle}} - p}{p_{\text{angle}}}$

Data vs. Simulation with Smearing



Resolution
 $\frac{p_{\text{angle}} - p}{p_{\text{angle}}}$

Particle ID for 6 GeV data

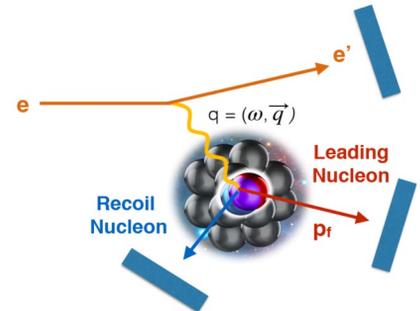
RG-M Analysis Note: 6 GeV electron proton selection and Particle ID

Andrew Denniston¹, Justin Estee¹, Julian Kahlbow¹, and Erin Marshall Seroka²

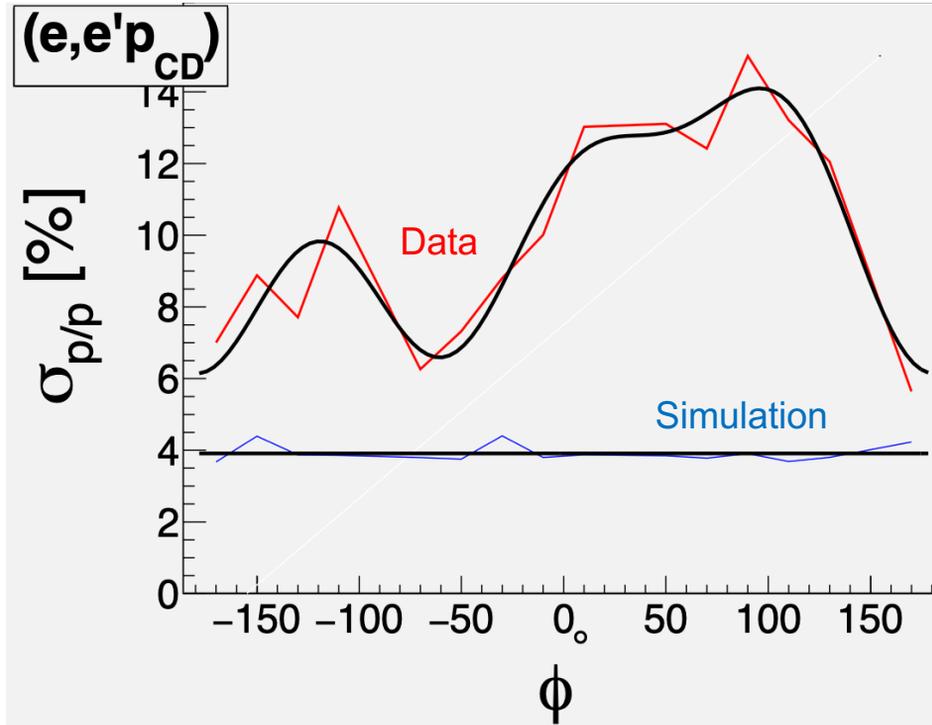
¹Department of Physics, Massachusetts Institute of Technology

²Department of Physics, The George Washington University

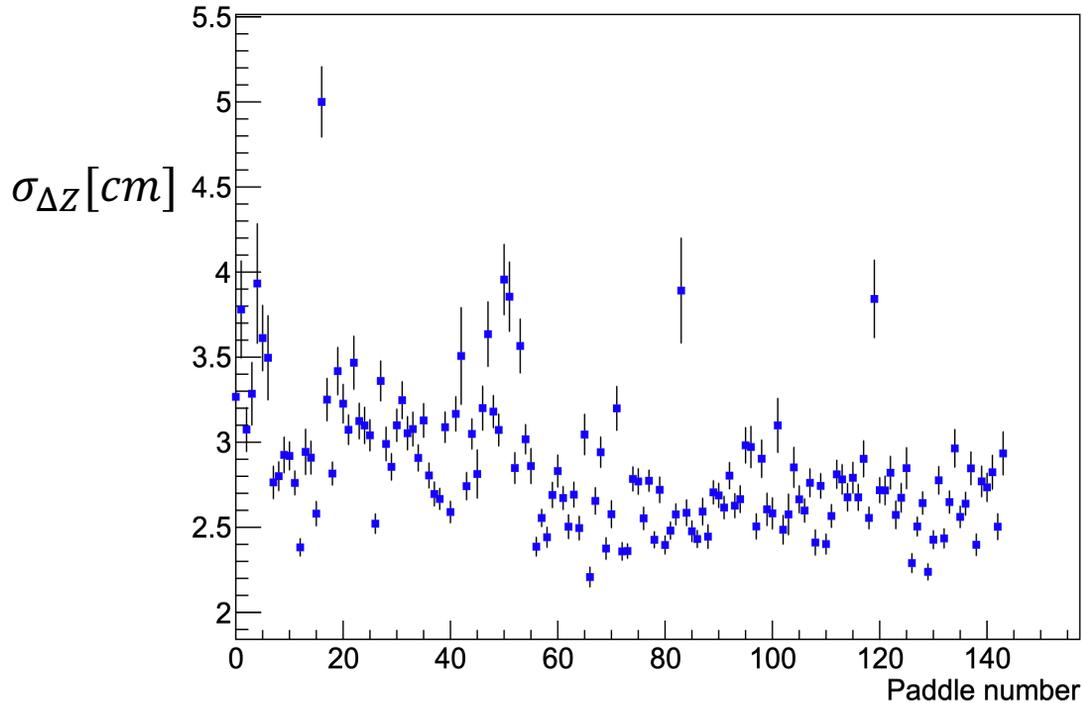
→ Re-submit “General” Analysis Note Soon



Central Detector Momentum Resolution



Central Detector Hit Resolution



$$\Delta Z = Z_{CND,Hit} - Z_{CVT,Trajectory}$$

Particle ID for 6 GeV data

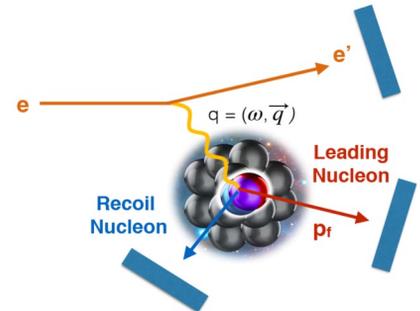
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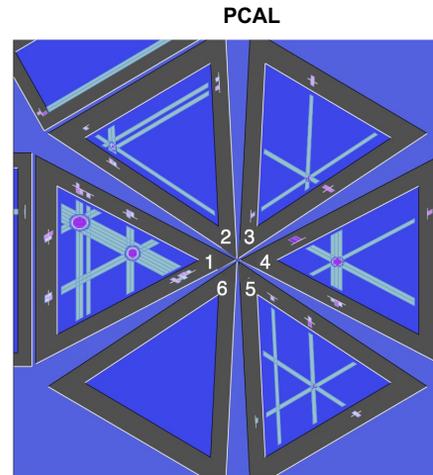
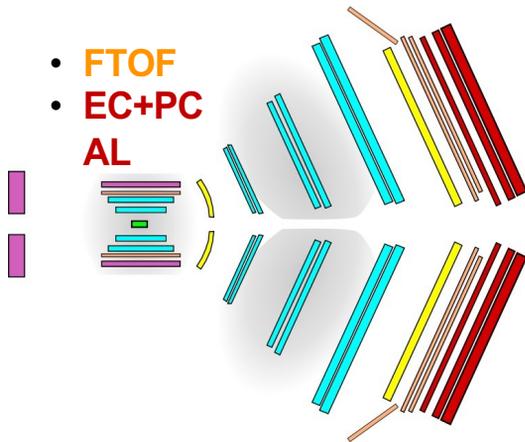
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Neutrons

- ECAL Neutrons
- CND Neutrons
- BAND Neutrons

ECAL Neutrons (Ron Wagner)

- Collect all neutral and charged particle related hits in the FTOF, PCAL, ECAL.

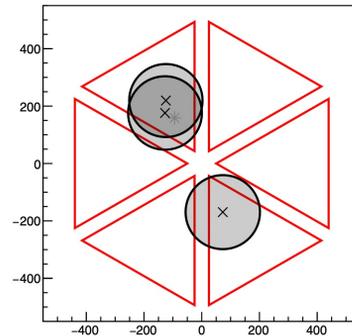
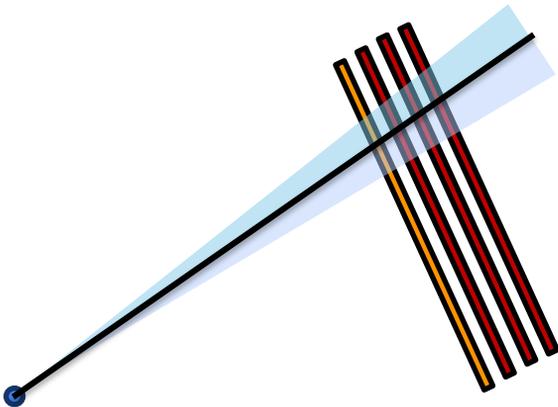


ECAL Neutrons (Ron Wagner)

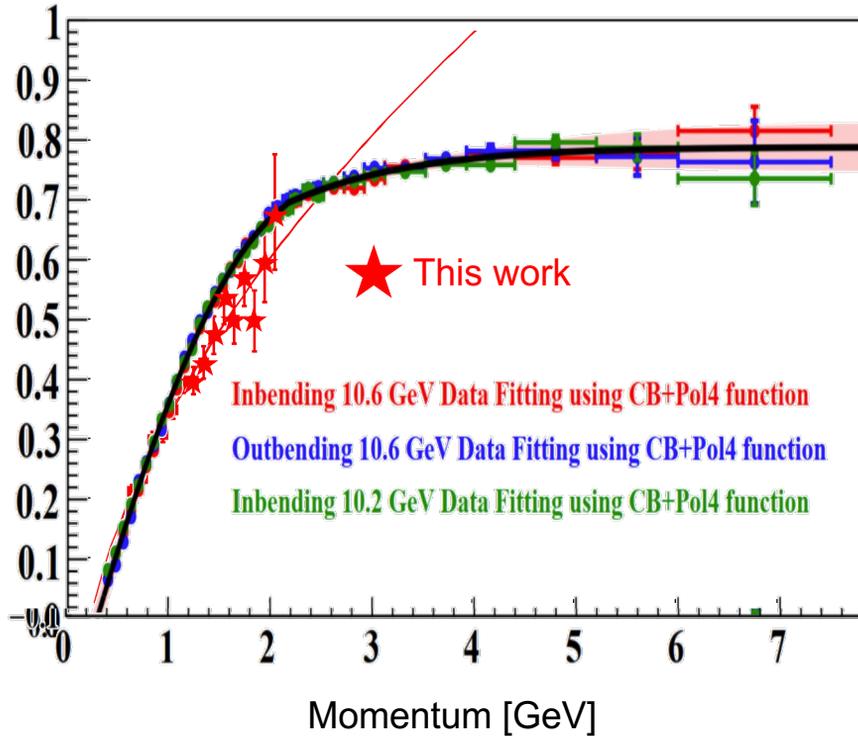
- For each neutral hit in the EC+PCAL check the following:
 - Was there a neutral hit in the FTOF that is related to it?
 - Was there a charge hit in the EC+PCAL layers near it?
 - Was there a neutral hit in the layers behind it?
 - Was there a neutral hit in the same layer?

Related:

- Same sector
- Inside the angular cone
- Close ToF



ECAL Neutrons (Ron Wagner)



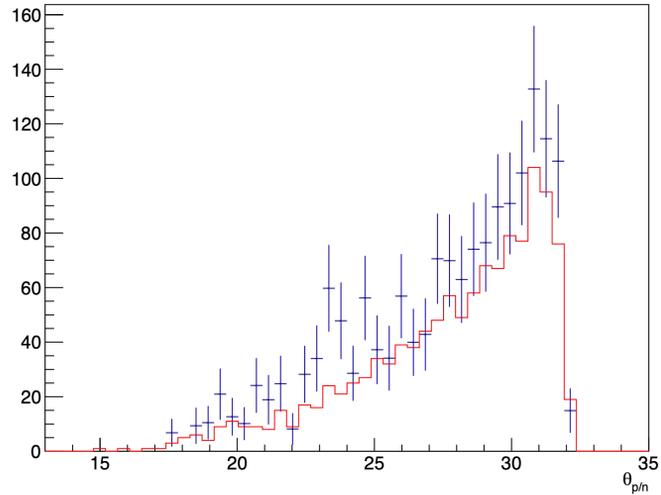
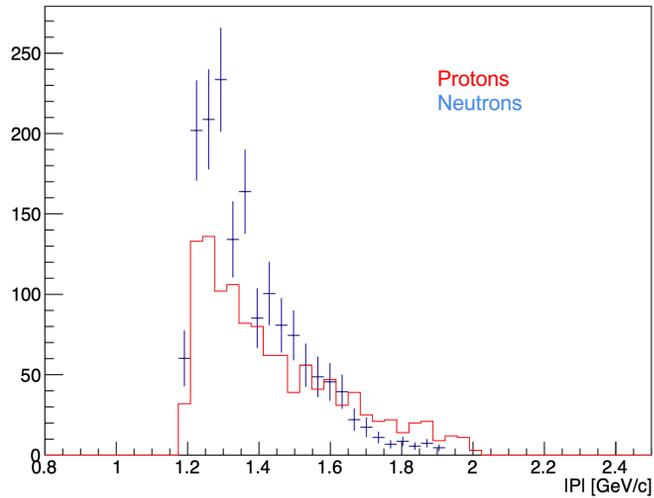
ECAL Neutrons (Ron Wagner)

- To validate the above procedure we calculated the $(e, e'p)/(e, e'n)$ ratio.
- This was done after smearing the protons and correct the efficiency.
- We also scale it with σ_n/σ_p , the ratio of the cross section of interacting with neutron or proton.
- We acceptance match the protons and neutrons to only include regions of phase space where both particles have maximum acceptance.

A – a symmetric nuclei

$$\frac{A(e, e'p)}{A(e, e'n)} = \frac{\gamma_n \cdot \#(e, e'p)}{\#(e, e'n)} \cdot \frac{\sigma_n}{\sigma_p}$$

ECAL Neutrons (Ron Wagner)

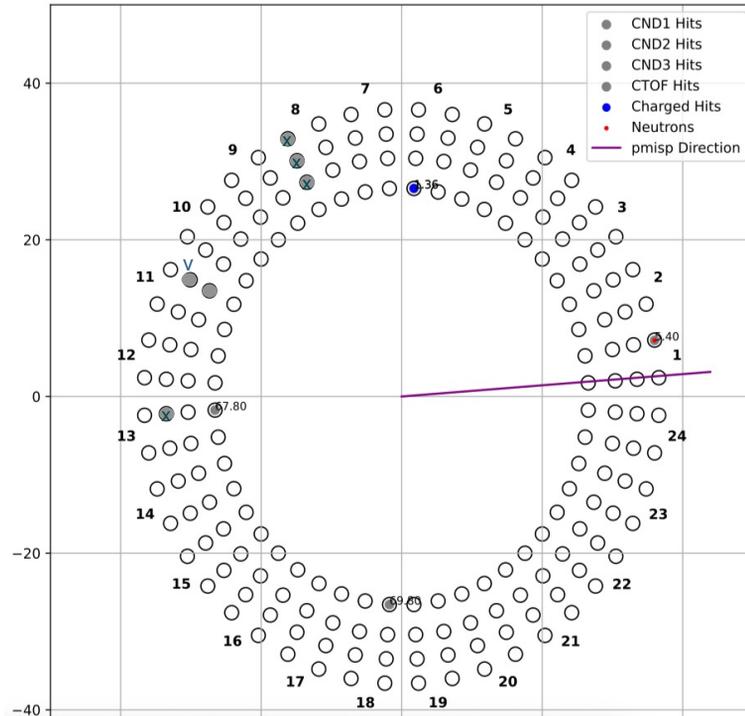
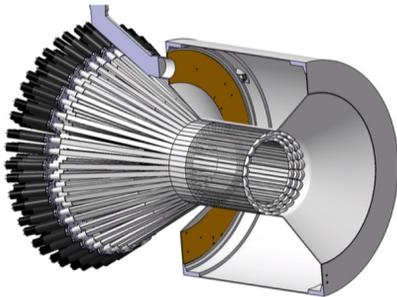


Neutrons

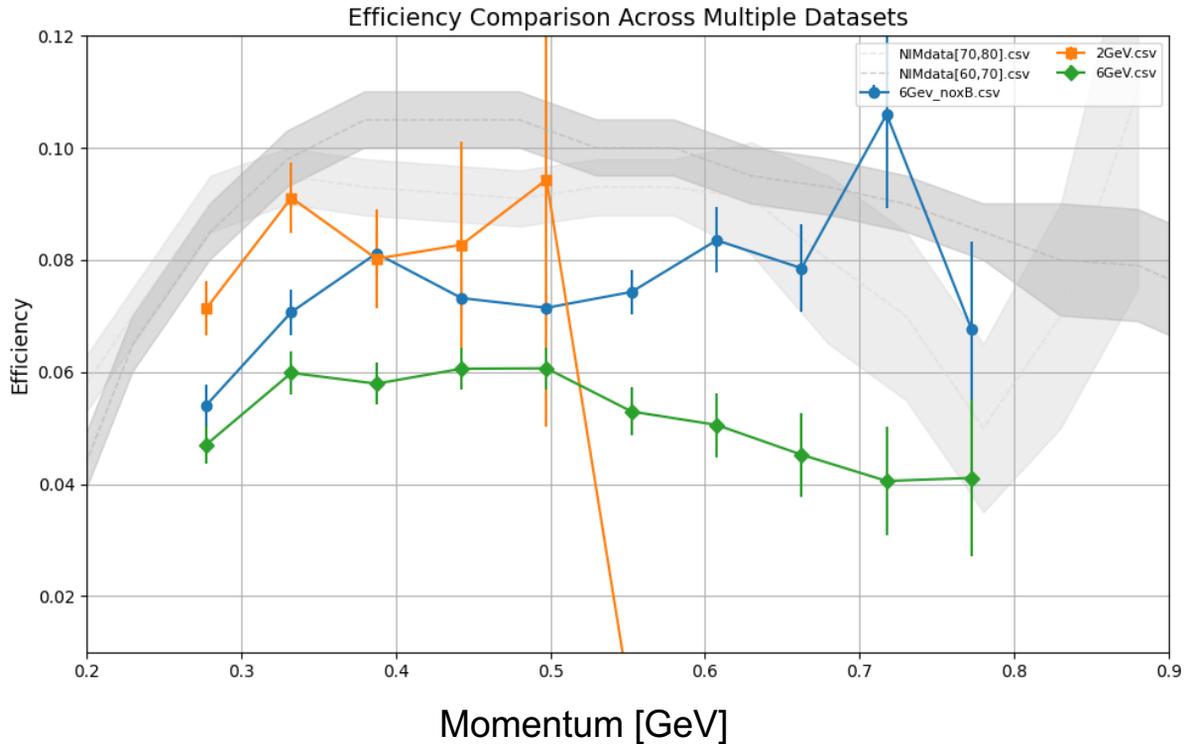
- ECAL Neutrons
- CND Neutrons
- BAND Neutrons

CND Neutrons (Igor Parshkin)

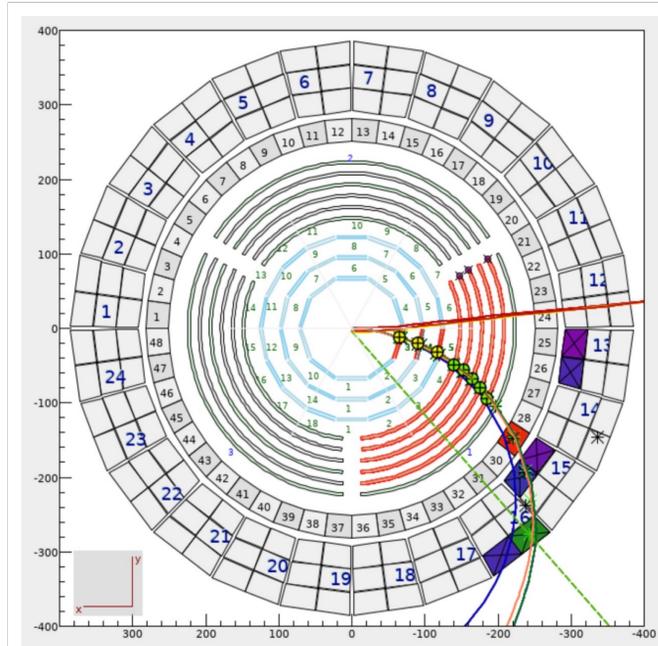
- Remove all hits on the same sector as charged hits
- Remove all simultaneous hits on all 3 layers of CND
- Remove all hits on the same sector as a simultaneous CTOF hit
- Combine all hits and their energies on the same sector into one



CND Neutrons (Igor Parshkin)



CND Neutrons



CND Neutrons (Natalie Wright & Shakuntala Mitra)

Exclusive topologies from 2 GeV deuterium data

Signal: Correctly ID'd neutrons

$$d(e, e'pn)$$

Background: Protons ID'd as neutrons

$$d(e, e'p\pi^-n)$$

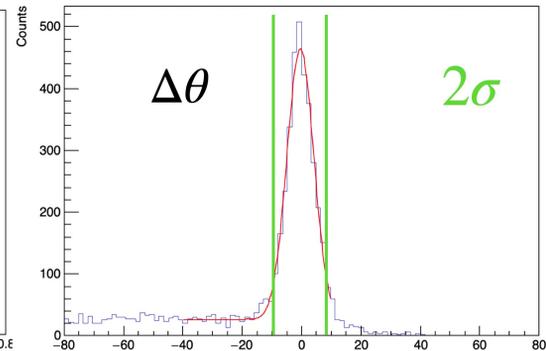
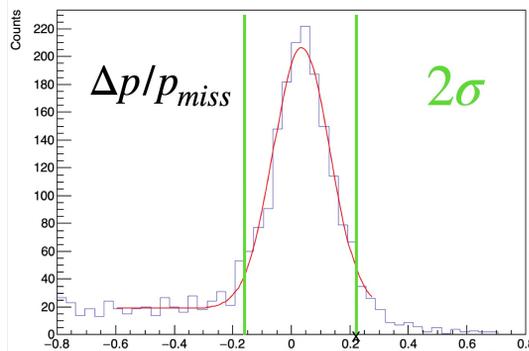
Protons ID'd as protons

$$d(e, e'p\pi^-p)$$



QE Selection:

$$M_{miss} < 1.02$$



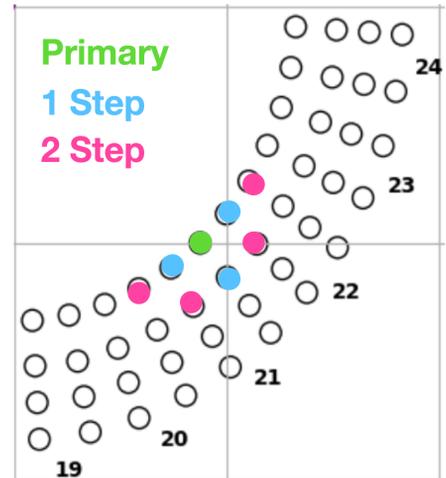
CND Neutrons (Natalie Wright & Shakuntala Mitra)

If multiple hits attributed to particle:

Define primary hit in CND based on highest Edep

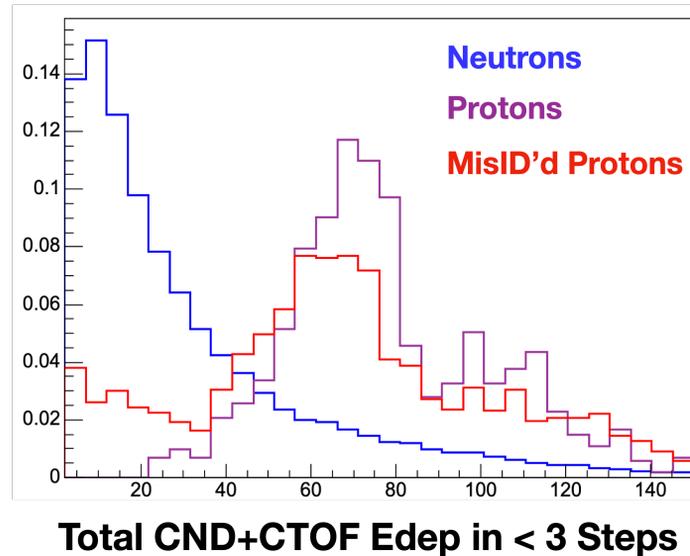
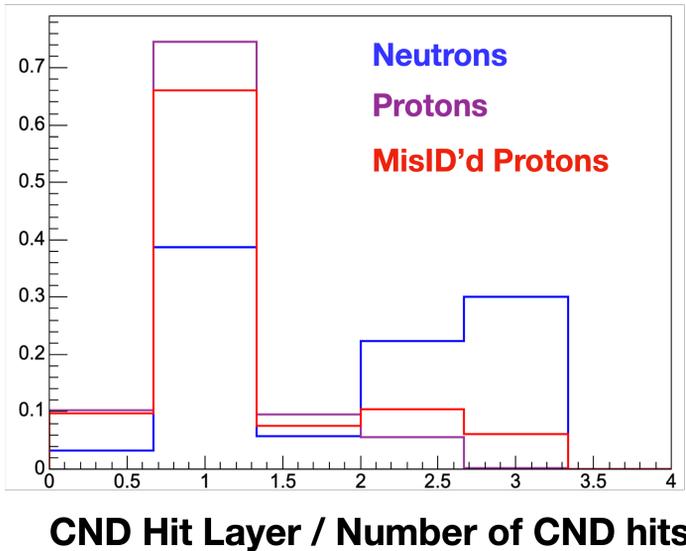


Calculate features (nearby energy, hits, etc) relative to number of 'steps' away



CND Neutrons (Natalie Wright & Shakuntala Mitra)

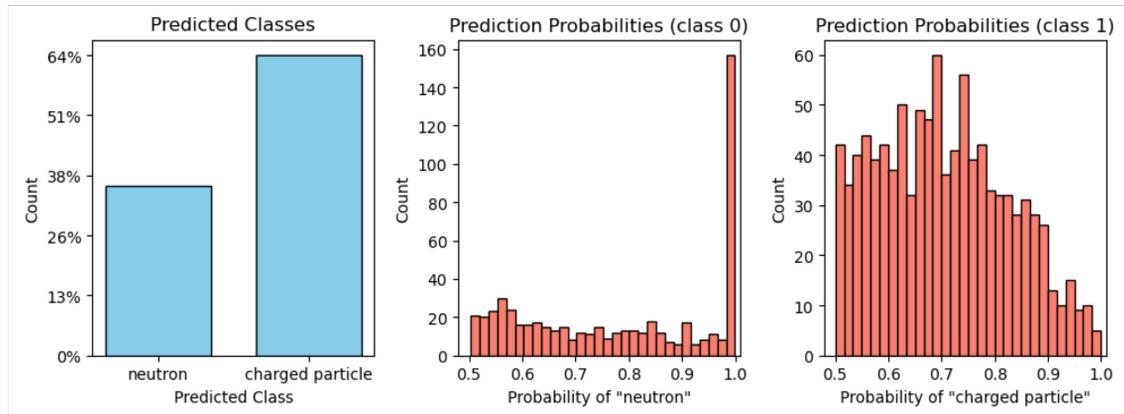
2 Most Important Features



Initial results show ~ 65% veto rate

From a subset of $d(e, e'p\pi^-n)$ selection

Originally, 100% misclassified as neutrons → now 65% classified as charged particles



Next Steps

Optimize ANN parameters

Create larger training samples

Determine if/which manual cuts are complementary

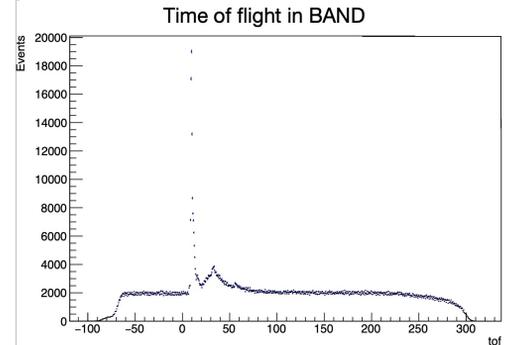
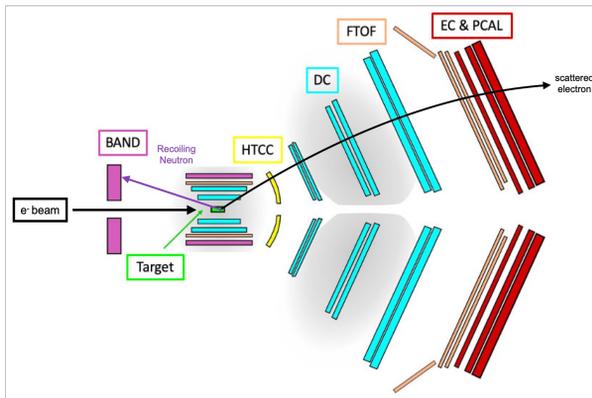
Validate on known ep/epN measurements

Neutrons

- ECAL Neutrons
- CND Neutrons
- BAND Neutrons

BAND Neutrons (Sara Ratliff)

- 6 GeV He-4 data from RGM
- Neutrons in BAND
- Detect recoiling neutron to determine correlation status between struck and detected nucleons



Overview

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- Physics Analyses
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Motivation

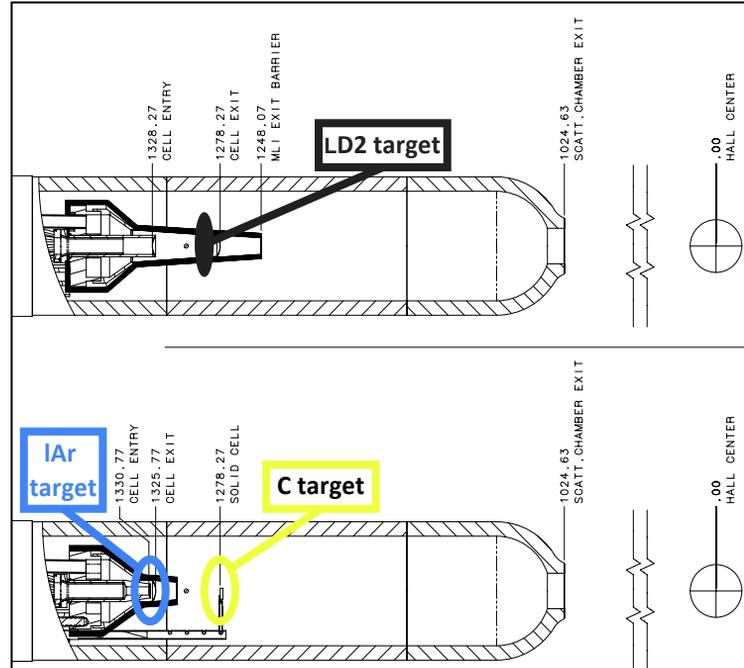
Goal: implement the combined **short-cryocell** and **1-foil target** in GEMC with updated experimental conditions

A new IAr target variation:

- Includes the 1-foil C and Sn
- The short-cryocell implementation is similar to that of the LD2 target

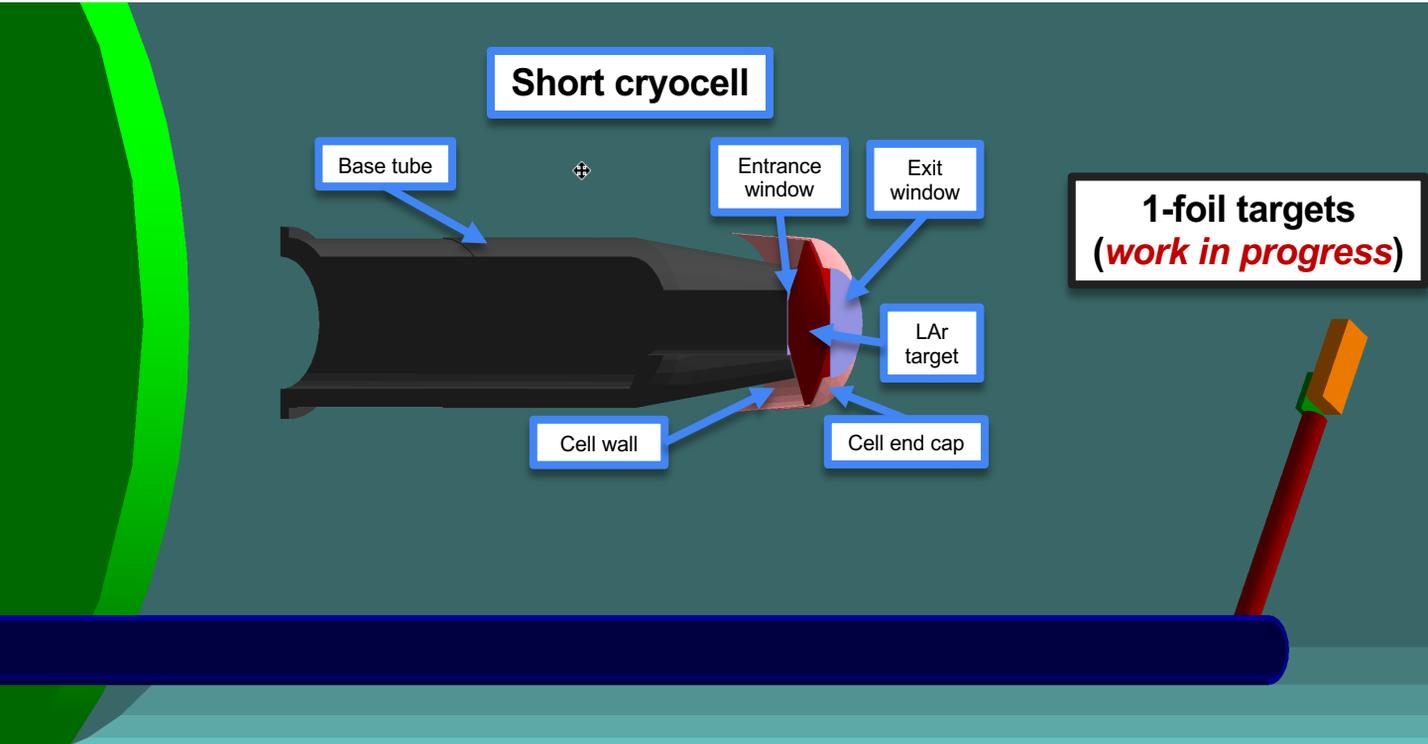
Updated 1-foil C target variations:

- The empty cryocell is present
- Small, 4-mm-wide, foils for 2 GeV runs
- Larger, 6-mm-wide, foils for 4 GeV runs
- Correction for the C foil position along the beamline (*work in progress*)



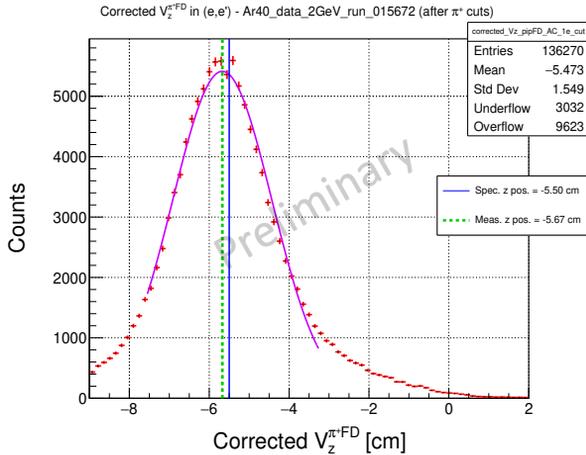
Source: technical drawing No. BM2101-02-00-0000

The new RG-M targets

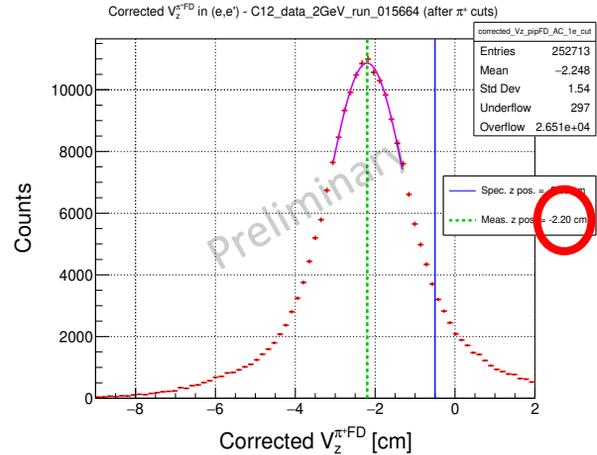


Corrected $V_z^{\pi^{\pm}FD}$ plots

Ar40_data_2GeV_run_015672



C12_data_2GeV_run_015664



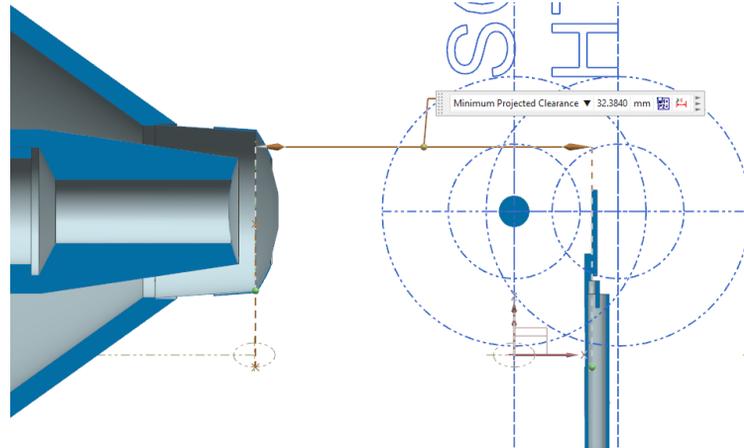
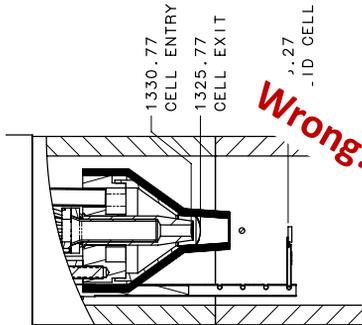
π^{\pm} cuts = electron PID cuts + π^{\pm} PID cuts + dV_z cuts

Notation: $\pi^{\pm FD} = FD \pi^{\pm}$

New target measurements

- In the previous update: we have seen that the C is approximately 3.5 cm from the IAr target
- This result seems to be consistent with recent measurements of both CAD models and the cryocell

⇒ The technical drawing is wrong!



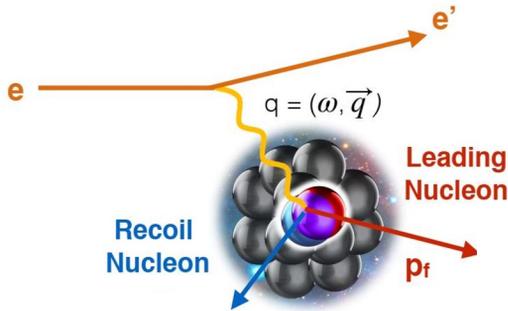
Source: Bob Miller

Overview

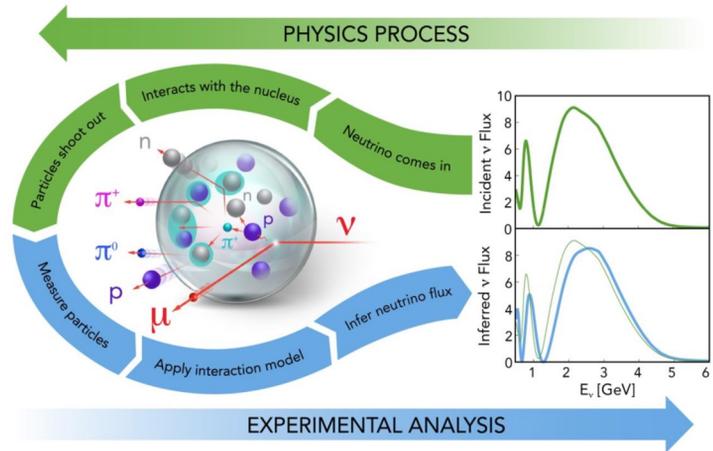
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Run Group-M Proposals

Short Range Correlations

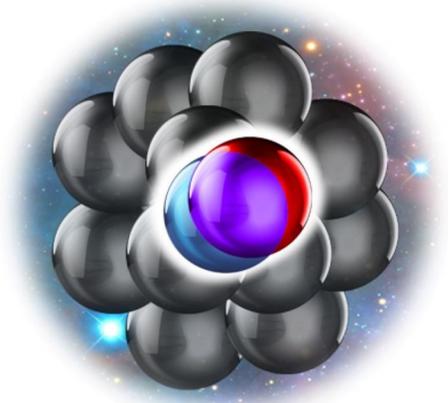


Electrons for Neutrinos ($e4\nu$)



- (e, e') inclusive
- $(e, e'N)$
- $(e, e'NN)$

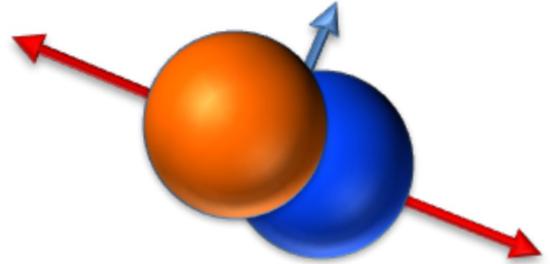
Short range, short lived,
highly correlated pairs



r-space

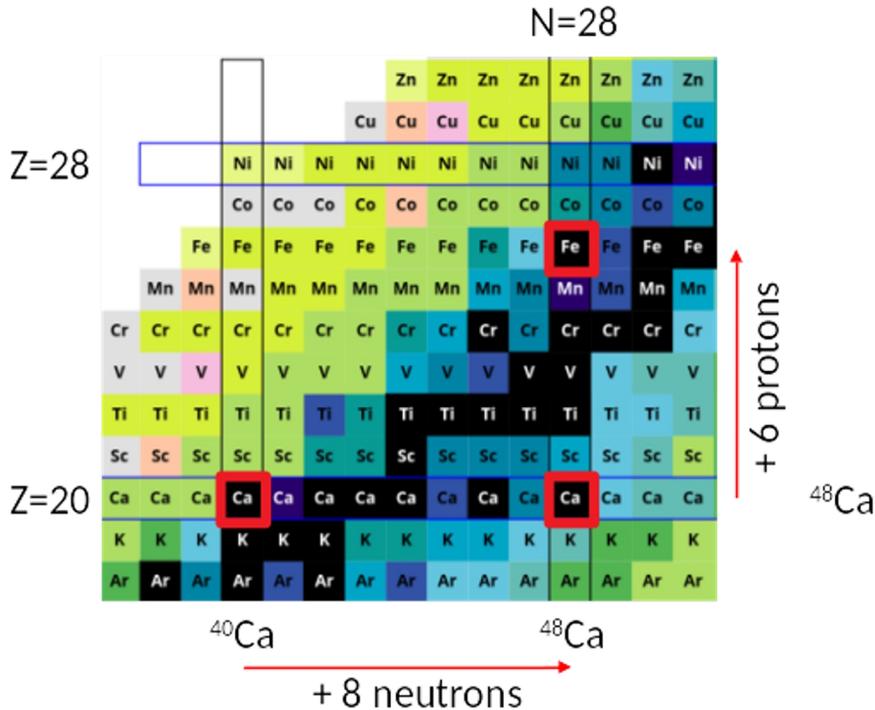
High **relative** momentum

Low **center of mass** momentum

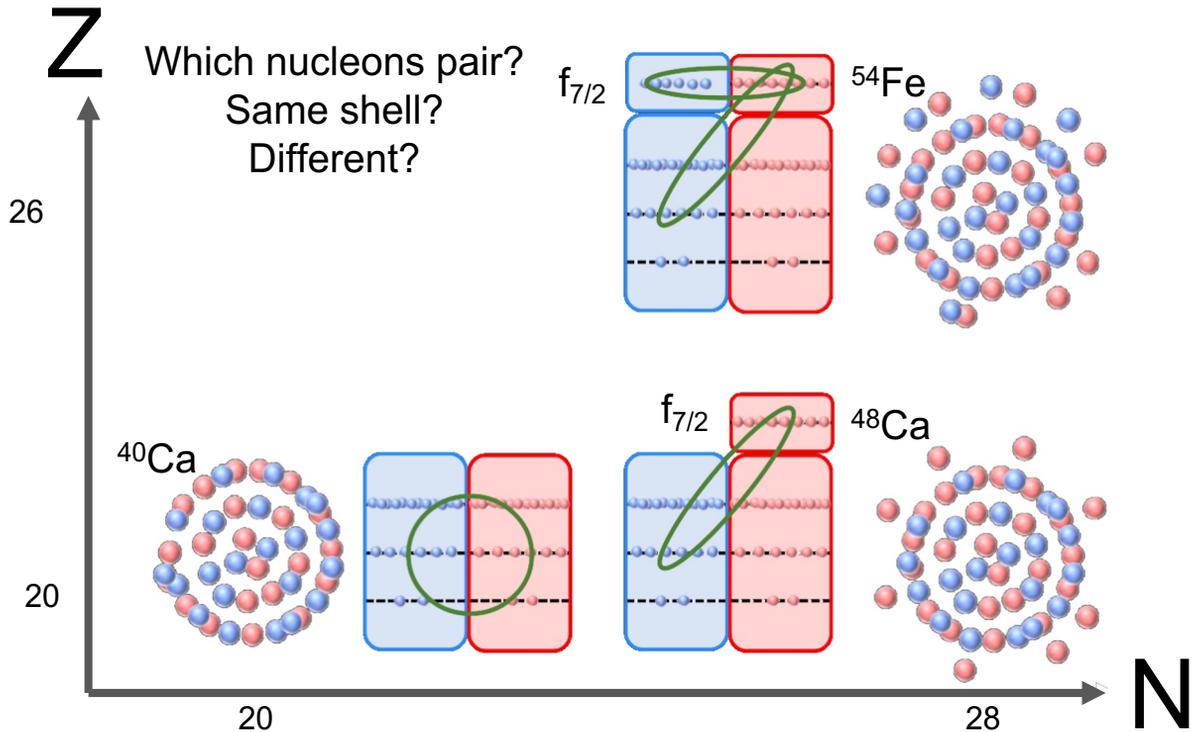


k-space

SRCs in Asymmetric Nuclei

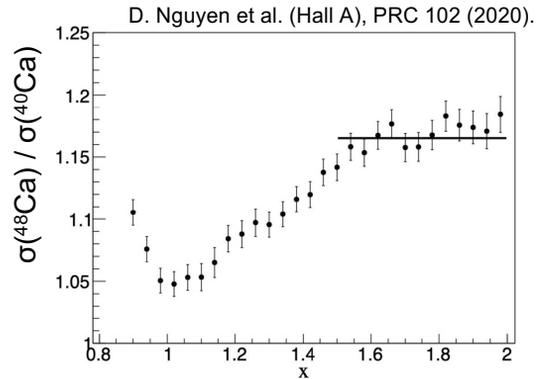


SRCs in Asymmetric Nuclei



SRCs in Asymmetric Nuclei

- (e, e')
- $(e, e'p)$
- $(e, e'n)$
- $(e, e'pp)$
- $(e, e'pn)$



Conclusion: np pair dominance

SRCs in Asymmetric Nuclei

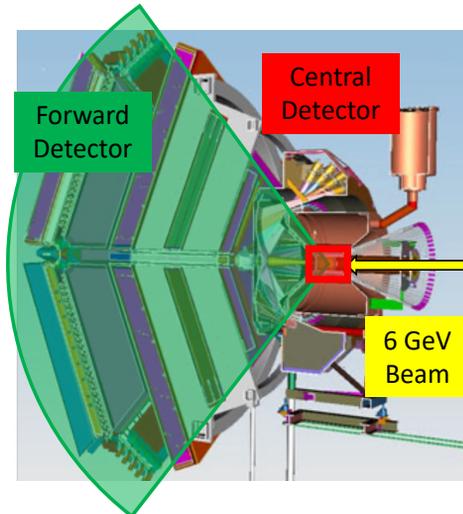
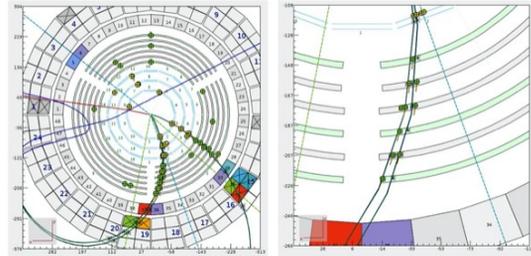
- (e,e')
- $(e,e'p)$ \longrightarrow Hall C experiment 2022, under analysis: ^{40}Ca , ^{48}Ca , ^{54}Fe , ^{197}Au
- $(e,e'n)$
- $(e,e'pp)$
- $(e,e'pn)$

SRCs in Asymmetric Nuclei

- (e,e')
 - $(e,e'p)$
 - $(e,e'n)$
 - $(e,e'pp)$
 - $(e,e'pn)$
- Hall C experiment 2022, under analysis: ^{40}Ca , ^{48}Ca , ^{54}Fe , ^{197}Au
- Hall B RG-M experiment 2021/22, under analysis: ^{40}Ca , ^{48}Ca , ^{120}Sn , ...
-

SRC Event Selection

1. $1.2 < x_B < 2$
2. $1.5 \text{ GeV}^2 < Q^2$
3. $1.0 \text{ GeV} < p_{\text{Lead}}$
4. $0.3 \text{ GeV} < k_{\text{Miss}} < 1.0 \text{ GeV}$
5. $0.65 \text{ GeV} < m_{\text{Miss}} < 1.1 \text{ GeV}$
6. $\theta_{\text{Lead}} < 37^\circ$

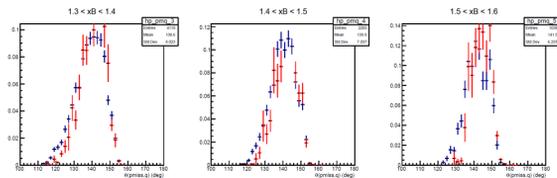


- Physics Letters B 722 (2013) 63–68
- Science 346, 614 (2014)
- Nature 560, 617–621 (2018)
- Physics Letters B 797 (2019) 134792
- Cohen et al. Phys. Rev. Lett. 121, 092501 2018
- Duer et al. Phys. Rev. Lett. 122, 172502 2019

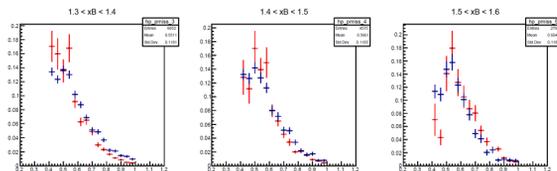


SRCs in Asymmetric Nuclei

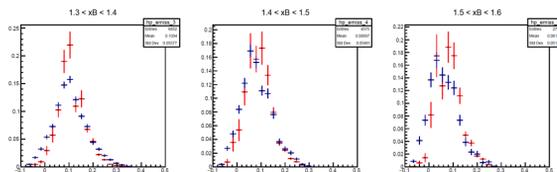
Data — Simulation shape comparison ${}^4\text{He}(e,e'p)$



$\theta(p_{\text{miss}}, q)$ [deg]



p_{miss} [GeV/c]



E_{miss} [GeV]

Good Agreement with SRC Simulation



SRCs in Asymmetric Nuclei

Advantages:

- informs on impact of nuclear structure
- many systematic effects cancel (ϵ)

$$Ratio = \frac{yield_A / (N \cdot \rho_A) / T_A \cdot A \cdot \cancel{\epsilon}}{yield_{40Ca} / (N \cdot \rho_{40Ca}) / T_{40Ca} \cdot A_{40Ca} \cdot \cancel{\epsilon}} \rightarrow \text{per nucleus yield ratio}$$

N : norm (\sim beam charge)

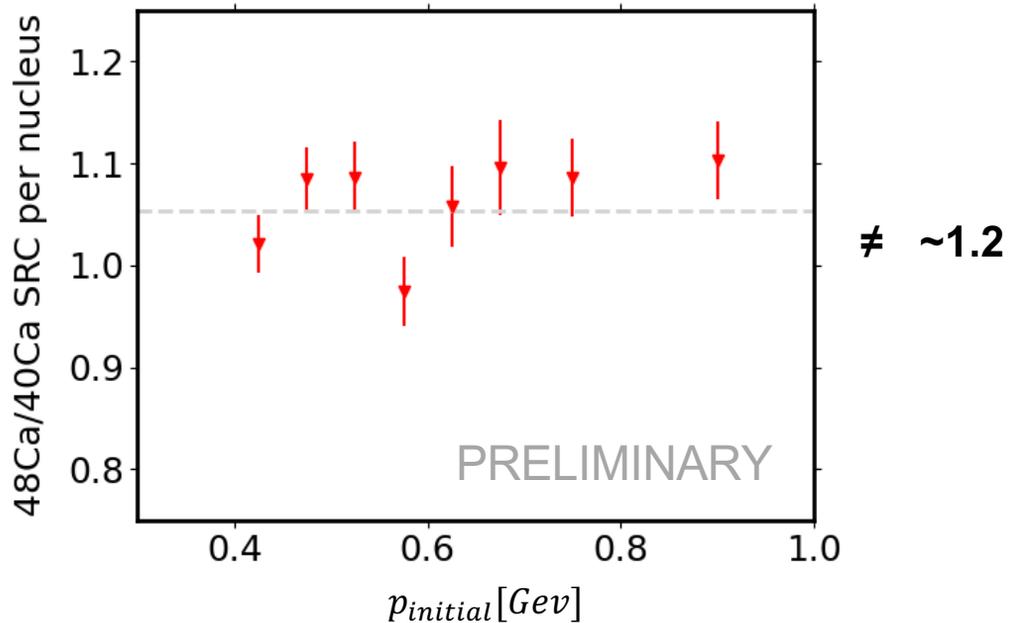
ρ : area density

\rightarrow luminosity normalization

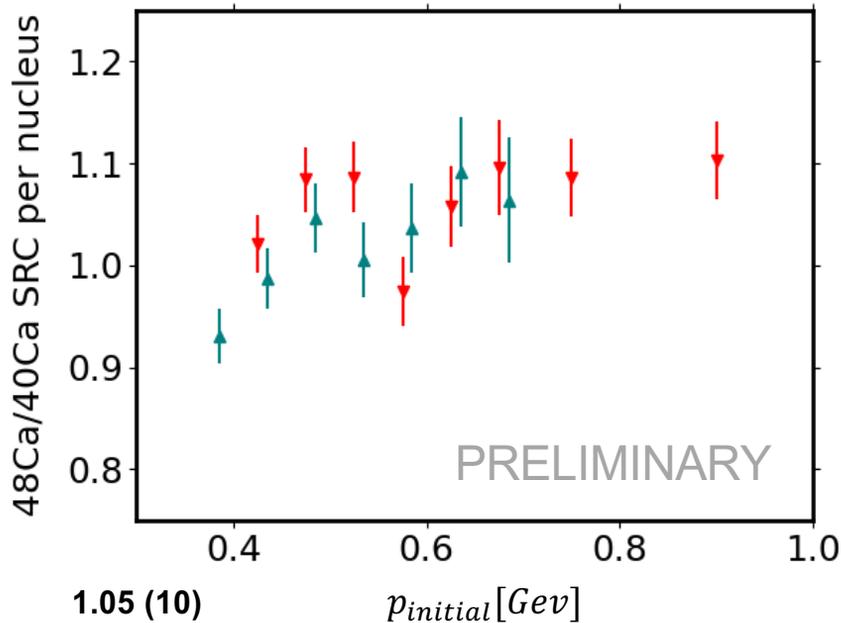
T : transparency

ϵ : detector efficiency

SRCs in Asymmetric Nuclei



SRCs in Asymmetric Nuclei



RG-M (Hall B)

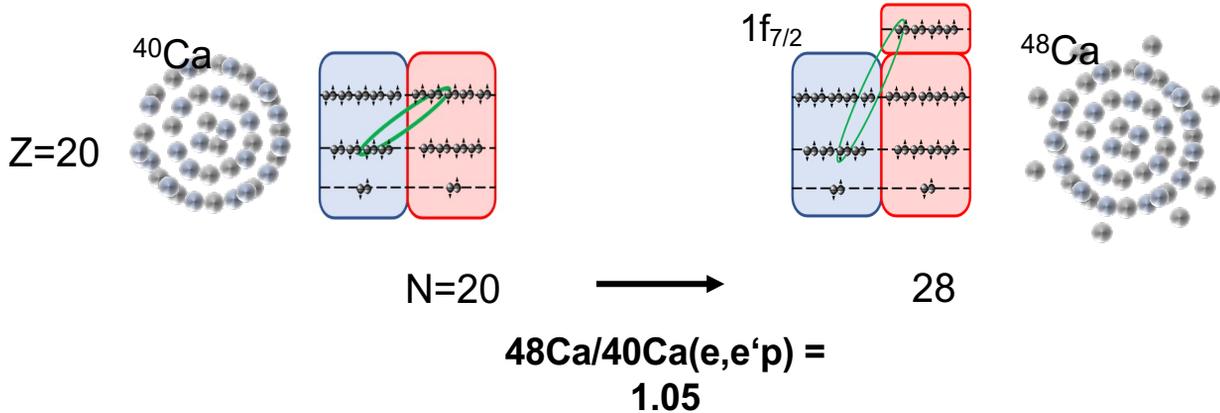
1.05 (10)

CaFe (Hall C)

1.02 (1)

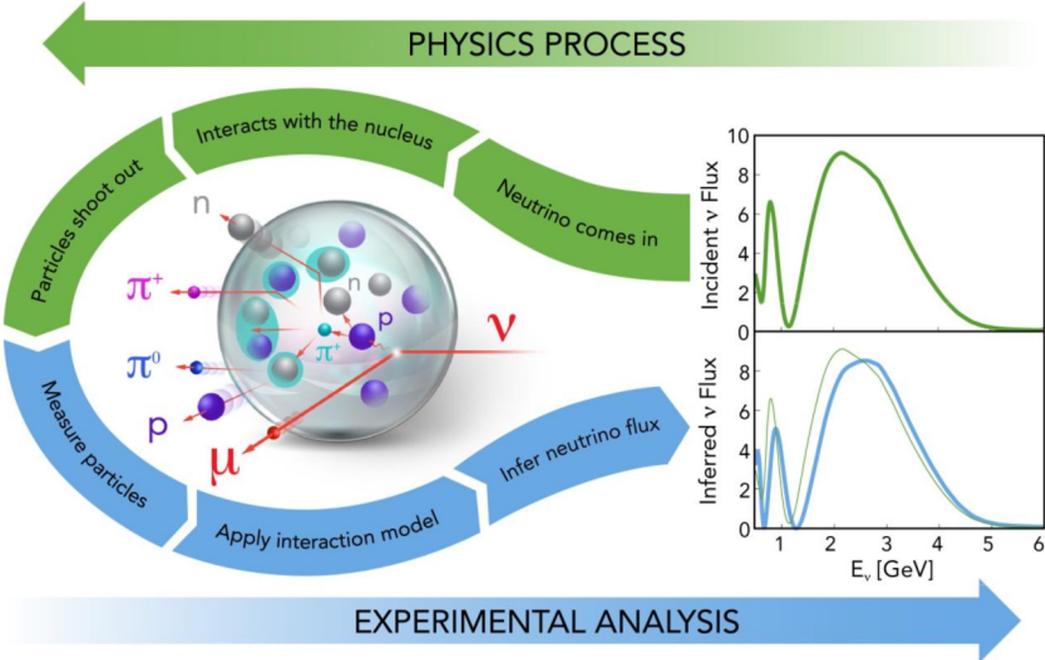
[Carlos Yero (ODU), Dien Nguyen (JLAB) et al.]

SRCs in Asymmetric Nuclei



**Reduction in
short-range pairing across shells!
Long-range nuclear structure
to impact SRC**

Electrons for Neutrinos



Overview

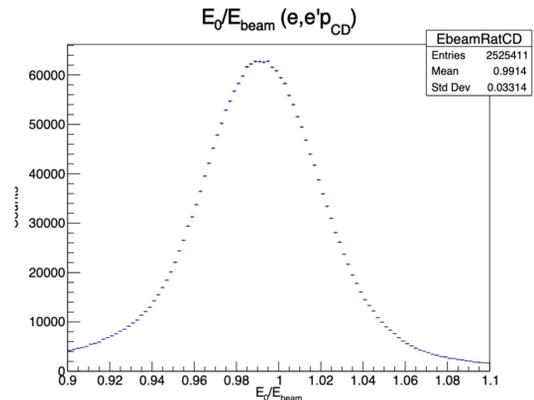
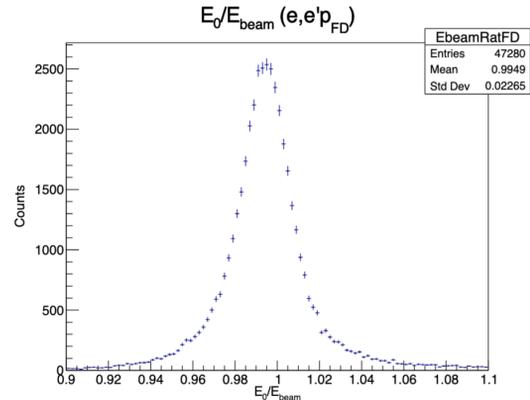
- Run Group M Introduction
- Proton and Electron Cuts
- Neutron Algorithms
- LAr target
- Physics Analyses
 - Short Range Correlations (SRCs)
 - Electrons for Neutrinos (e4v)

Backup

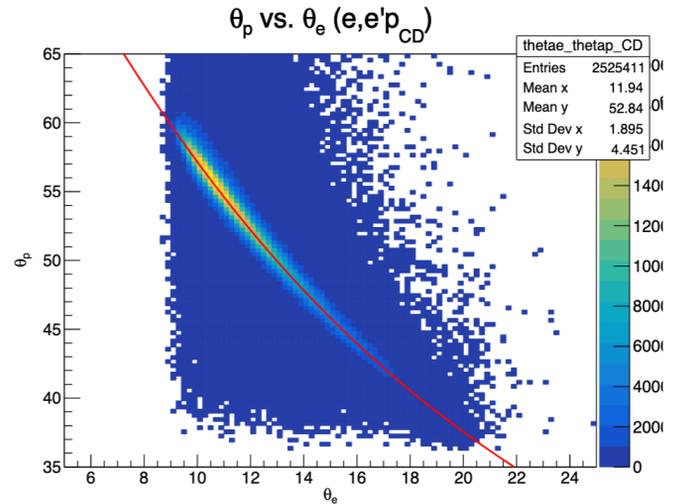
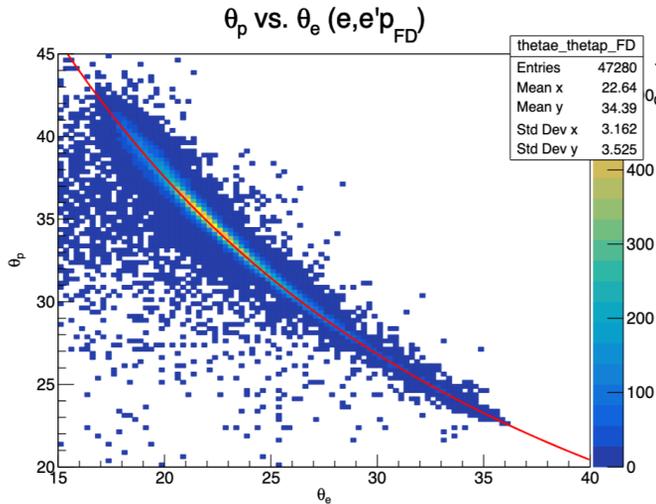
Use Elastic Scattering Angles to Calculate Beam Energy

- $0.7 \text{ GeV} < W < 1.1 \text{ GeV}$
- $-3^\circ < \Delta\phi_{ep} < 3^\circ$
- Separate events with a proton in the FD and CD

$$E_0 = m_N (\cot(\theta_e/2) \cot(\theta_p) - 1)$$

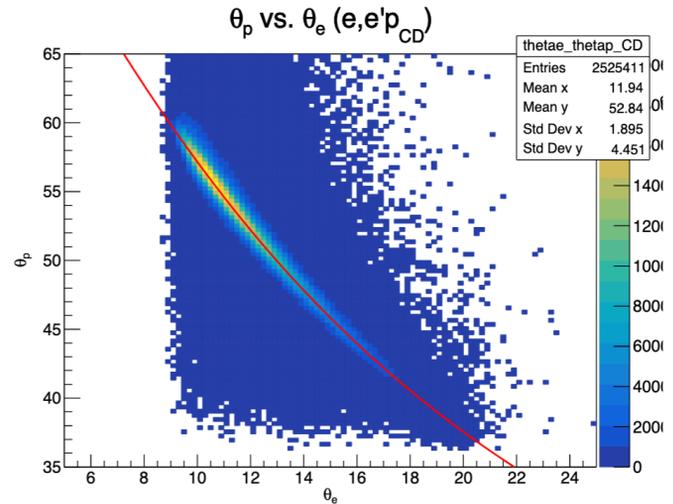
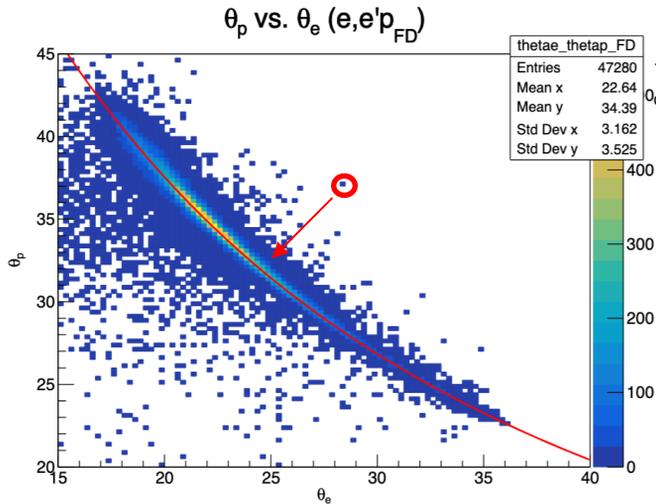


We use Elastic Kinematics to Correct the Electron and Proton at the same time



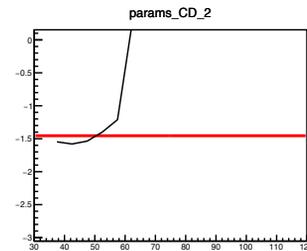
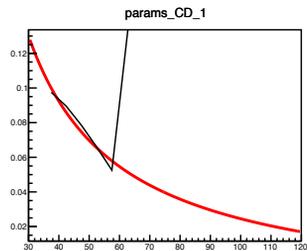
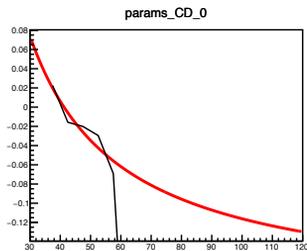
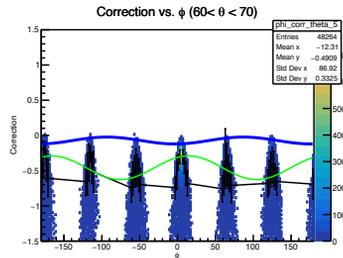
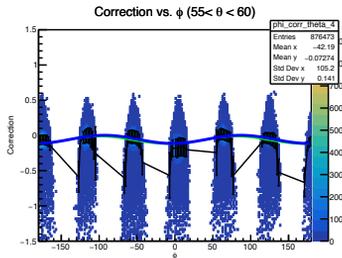
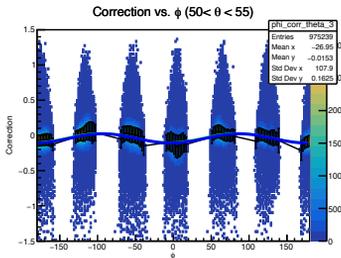
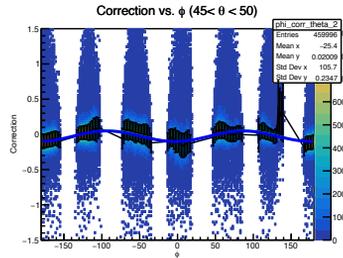
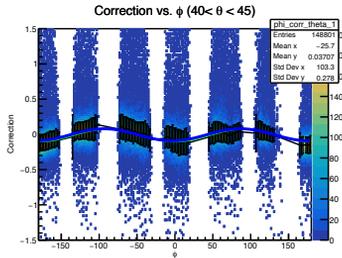
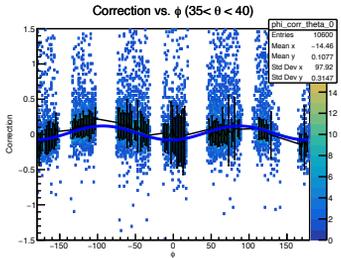
$$E_0 = m_N(\cot(\theta_e/2) \cot(\theta_p) - 1)$$

We use Elastic Kinematics to Correct the Electron and Proton at the same time

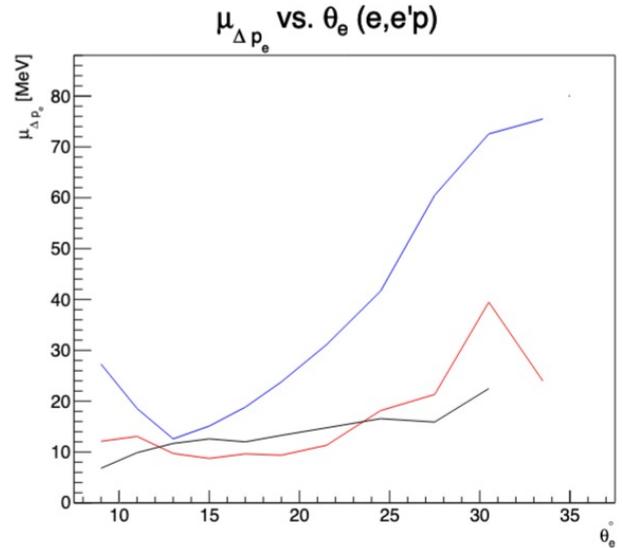
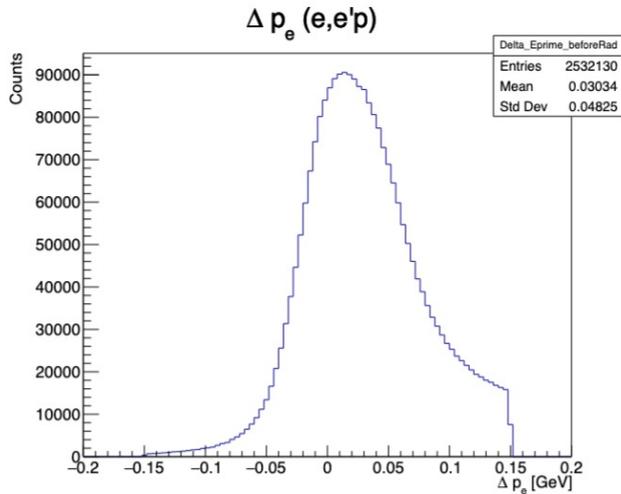


$$E_0 = m_N(\cot(\theta_e/2) \cot(\theta_p) - 1)$$

CD Angular Corrections

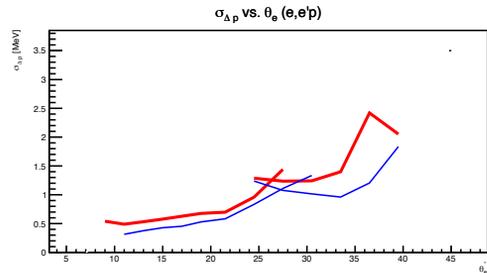
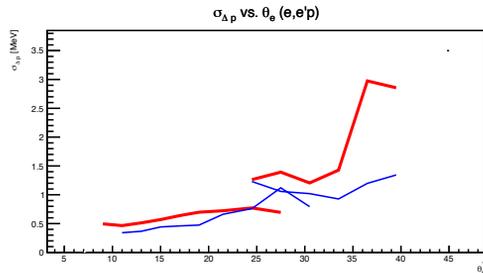
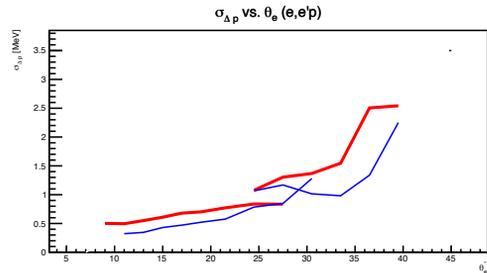
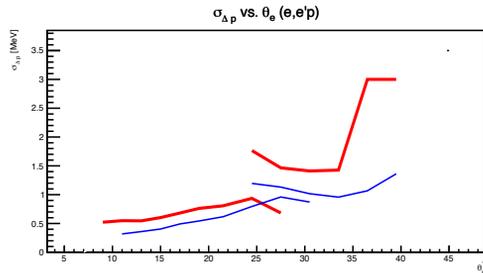
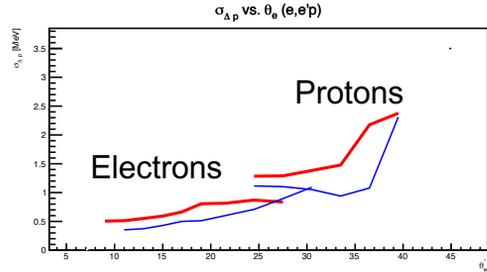
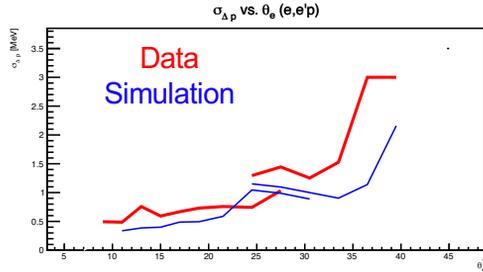


Momentum Correction of Electrons



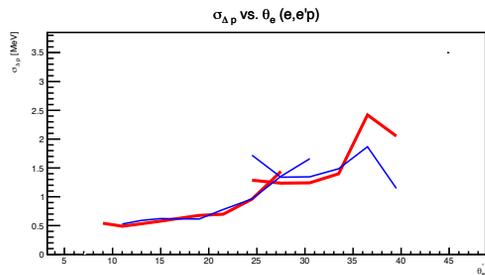
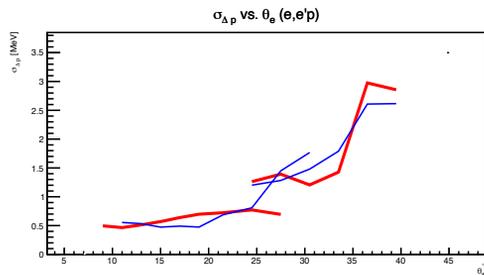
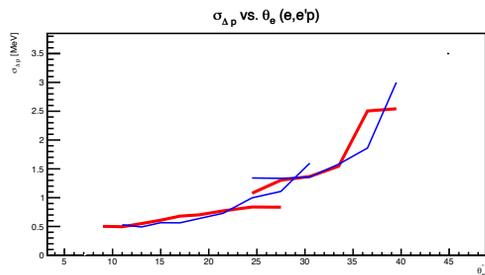
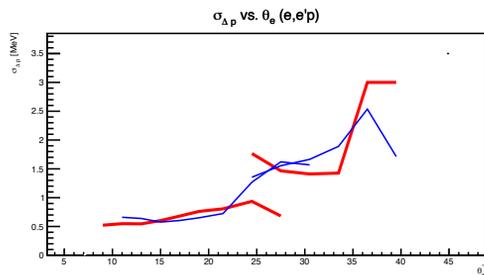
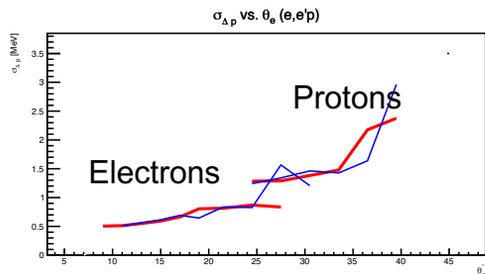
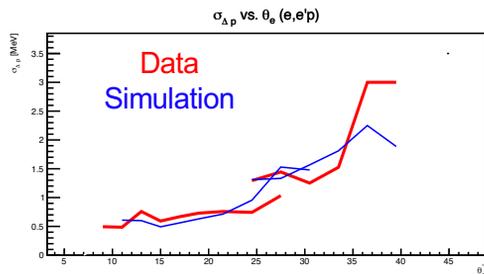
Before Momentum Correction
After Momentum Correction
H(e,e'p) Simulation with Radiation

Data vs. Simulation



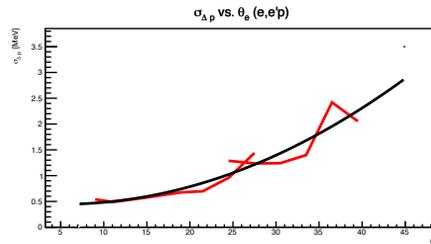
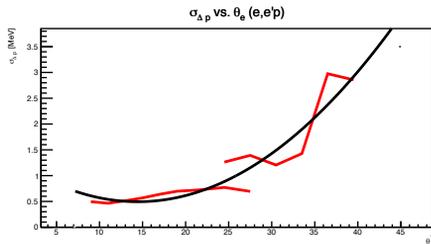
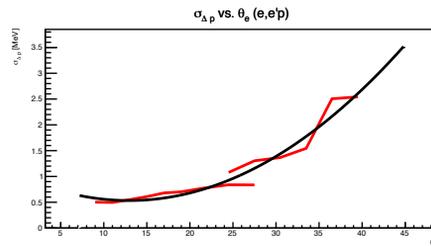
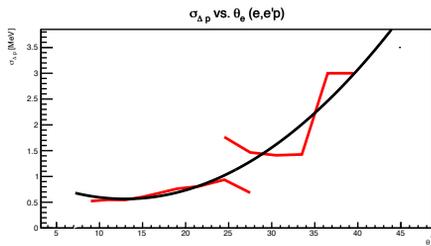
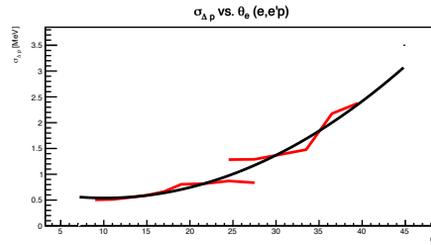
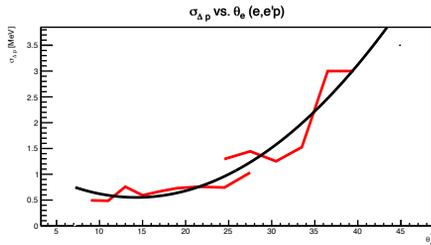
Resolution
 $\frac{p_{\text{angle}} - p}{p_{\text{angle}}}$

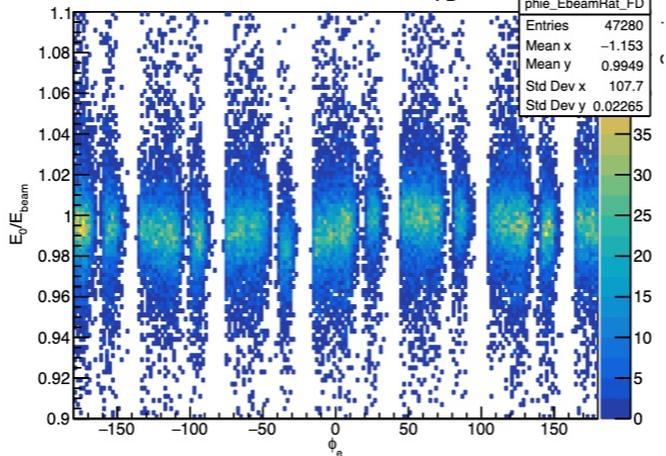
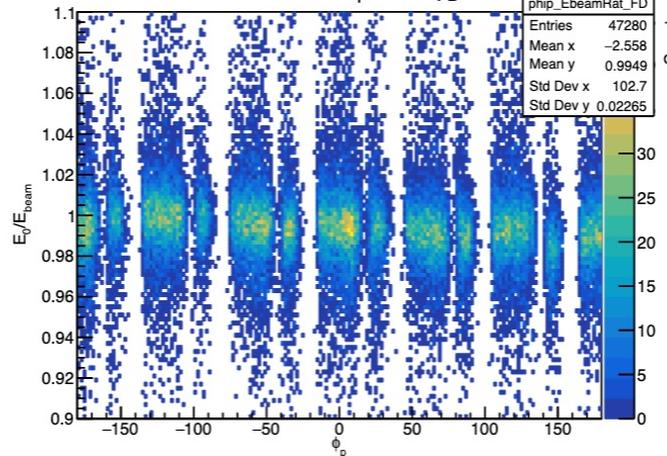
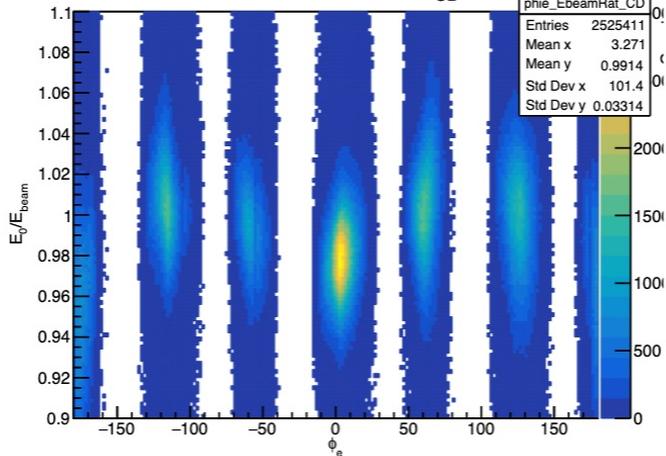
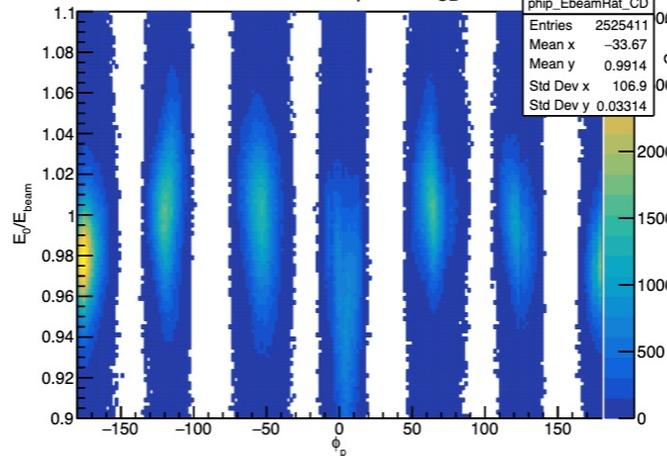
Data vs. Simulation with Smearing

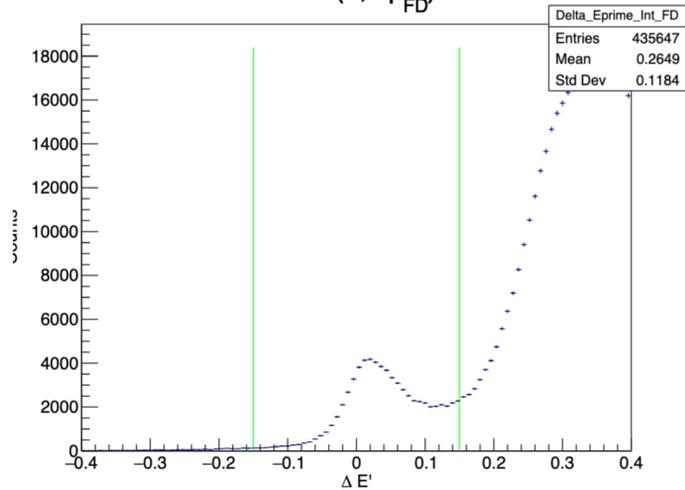
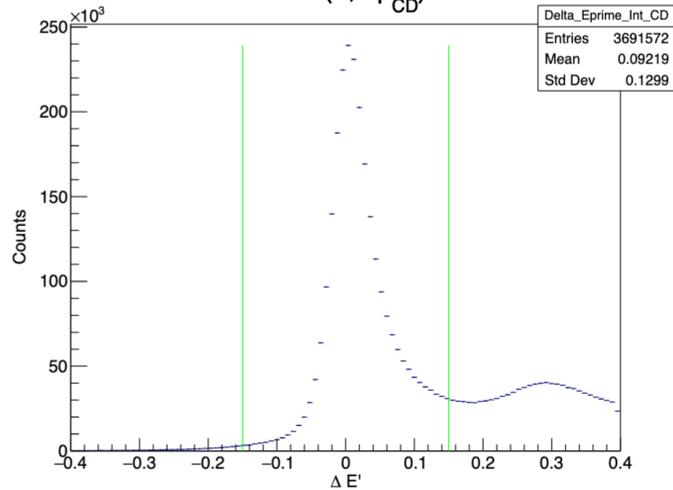
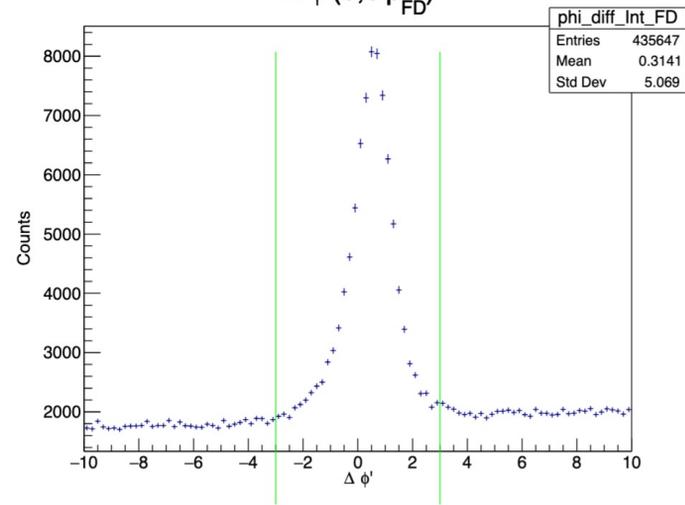
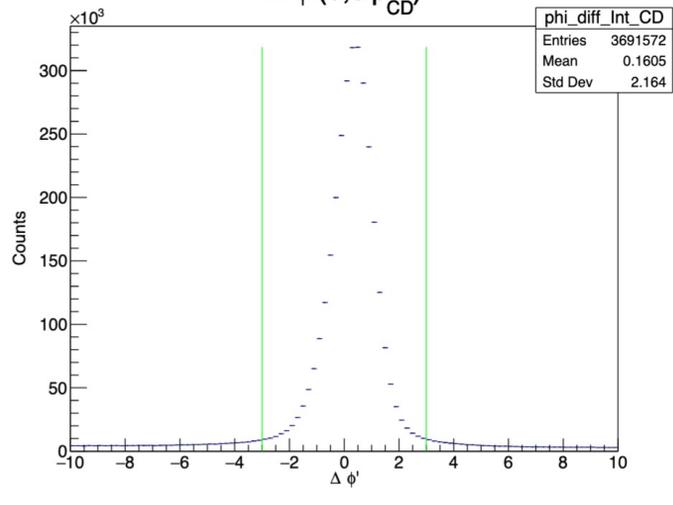


Resolution
 $\frac{p_{\text{angle}} - p}{p_{\text{angle}}}$

Fit both as a function of Theta to get resolution

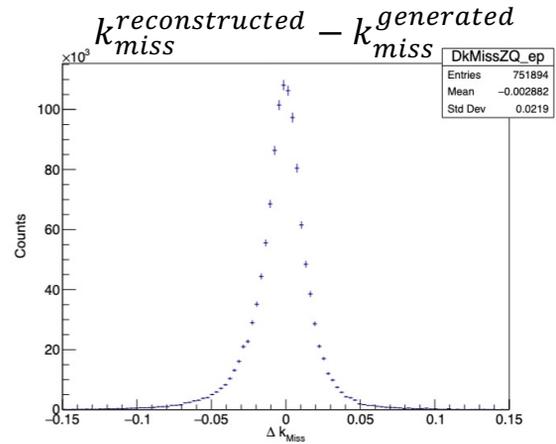
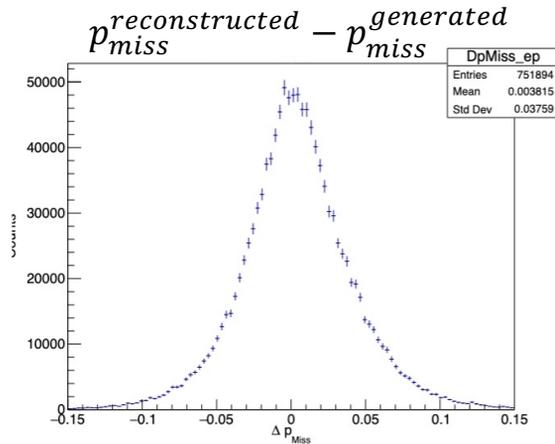
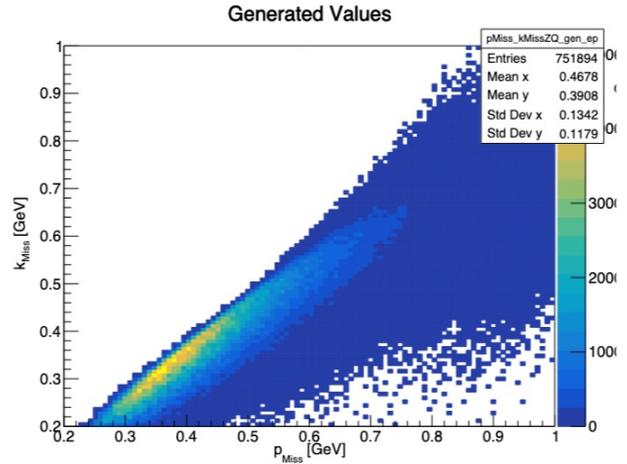


E_0/E_{beam} vs ϕ_e ($e, e'p_{\text{FD}}$) E_0/E_{beam} vs ϕ_p ($e, e'p_{\text{FD}}$) E_0/E_{beam} vs ϕ_e ($e, e'p_{\text{CD}}$) E_0/E_{beam} vs ϕ_p ($e, e'p_{\text{CD}}$)

$\Delta E' (e, e'p_{FD})$  $\Delta E' (e, e'p_{CD})$  $\Delta \phi (e, e'p_{FD})$  $\Delta \phi (e, e'p_{CD})$ 

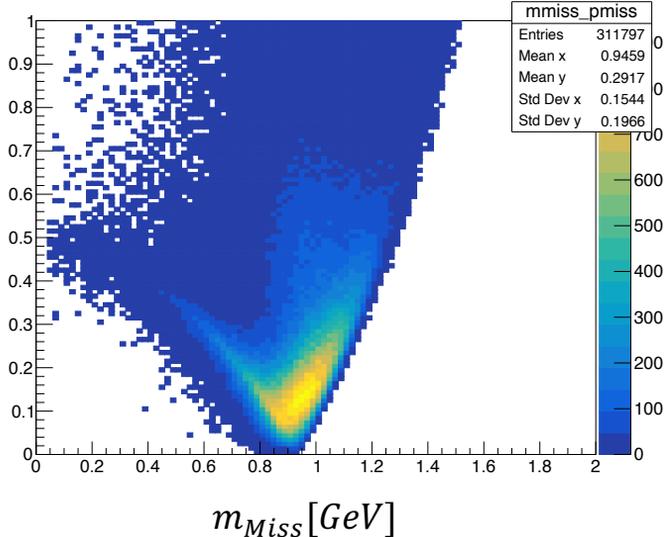
K_{Miss} correlates with p_{Miss} with better resolution

$$k_{miss}^2 \equiv m_N^2 \left(\frac{p_{miss,\perp}^2 + m_N^2}{p_{miss}(2m_N - p_{miss})} \right) - m_N^2$$

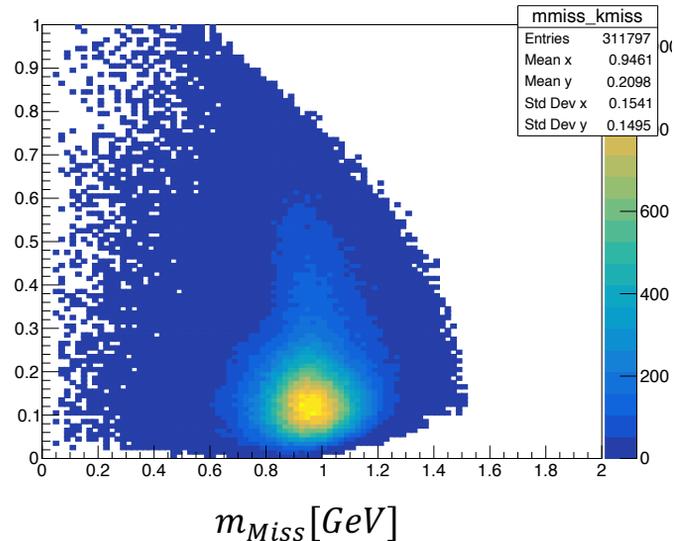


K_{Miss} can improve our event selection

p_{Miss} [GeV]

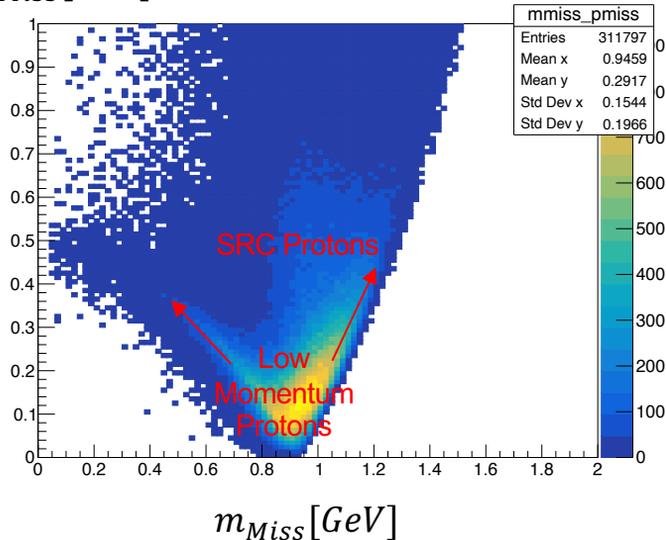


k_{Miss} [GeV]

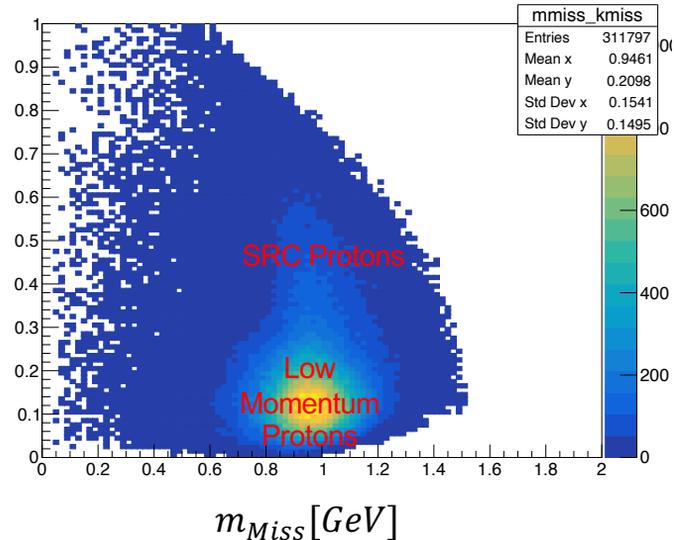


K_{Miss} can improve our event selection

$p_{Miss}[GeV]$

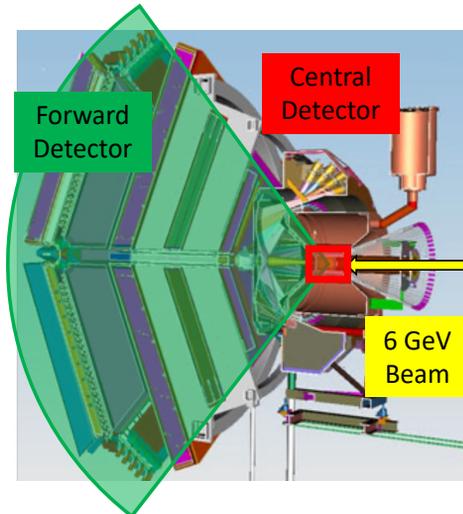
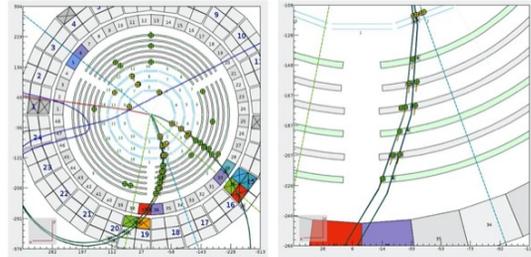


$k_{Miss}[GeV]$



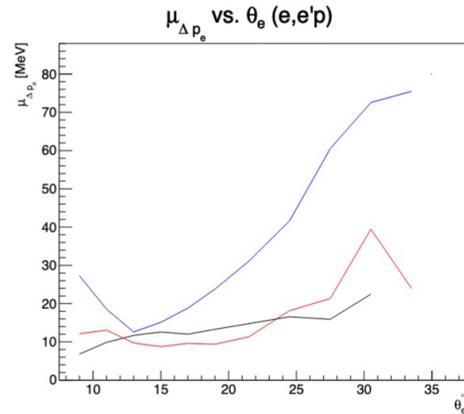
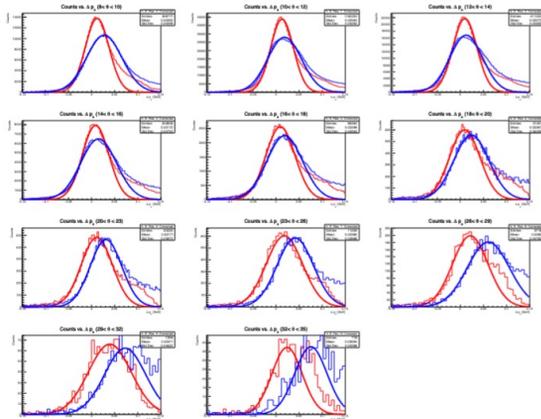
SRC Event Selection

1. $1.2 < x_B < 2$
2. $1.5 \text{ GeV}^2 < Q^2$
3. $1.0 \text{ GeV} < p_{\text{Lead}}$
4. $0.3 \text{ GeV} < k_{\text{Miss}} < 1.0 \text{ GeV}$
5. $0.65 \text{ GeV} < m_{\text{Miss}} < 1.1 \text{ GeV}$
6. $\theta_{\text{Lead}} < 37^\circ$

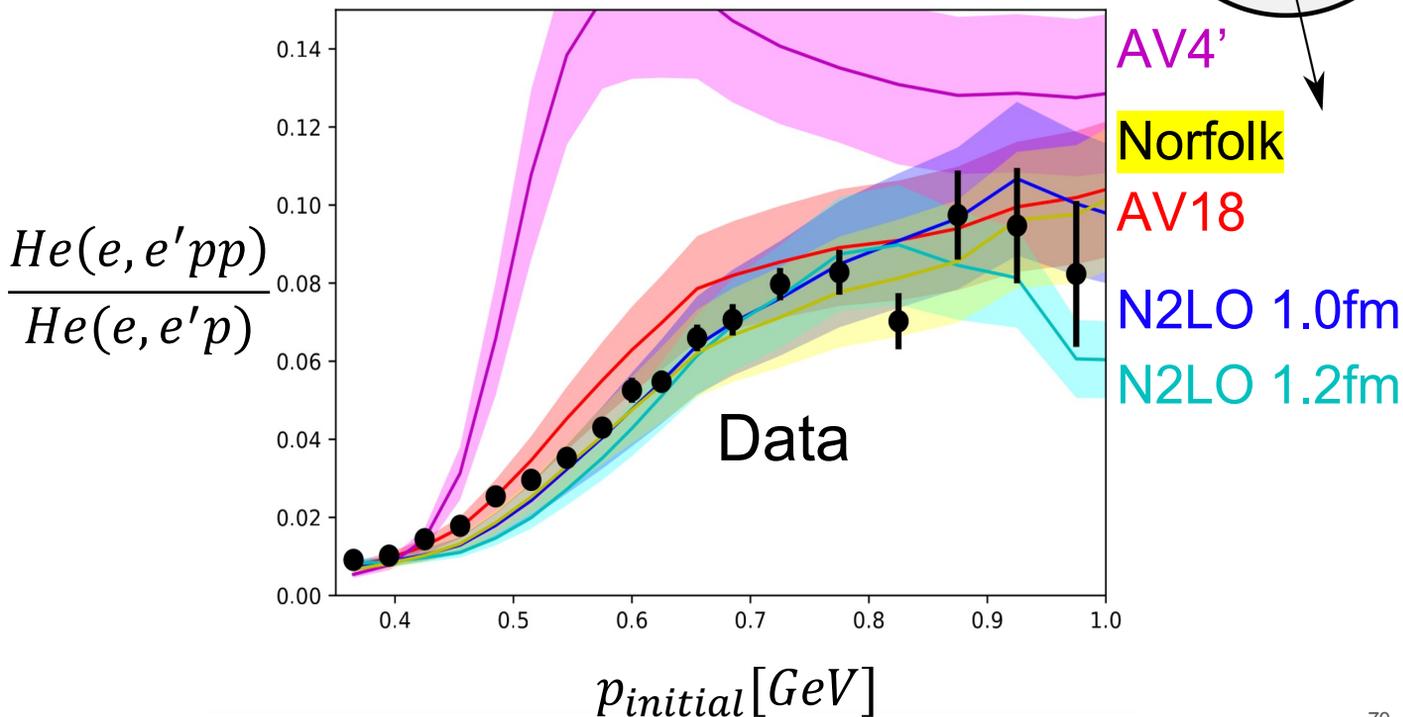
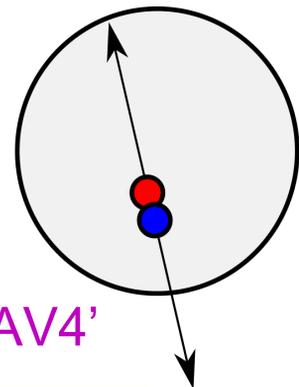


- Physics Letters B 722 (2013) 63–68
- Science 346, 614 (2014)
- Nature 560, 617–621 (2018)
- Physics Letters B 797 (2019) 134792
- Cohen et al. Phys. Rev. Lett. 121, 092501 2018
- Duer et al. Phys. Rev. Lett. 122, 172502 2019

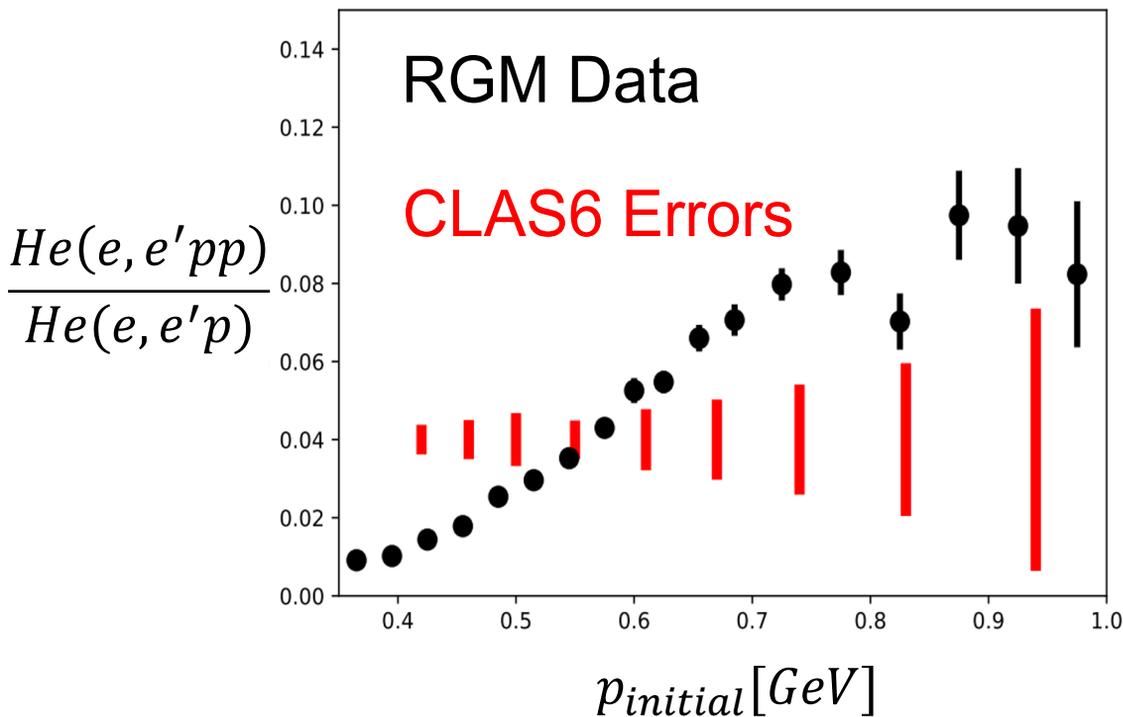
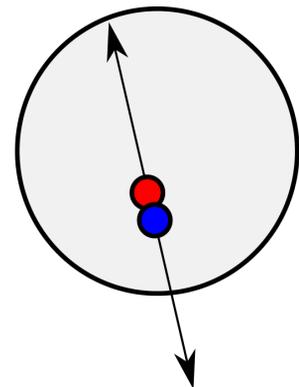
Momentum Correction of FD Electrons



Precision NN interaction

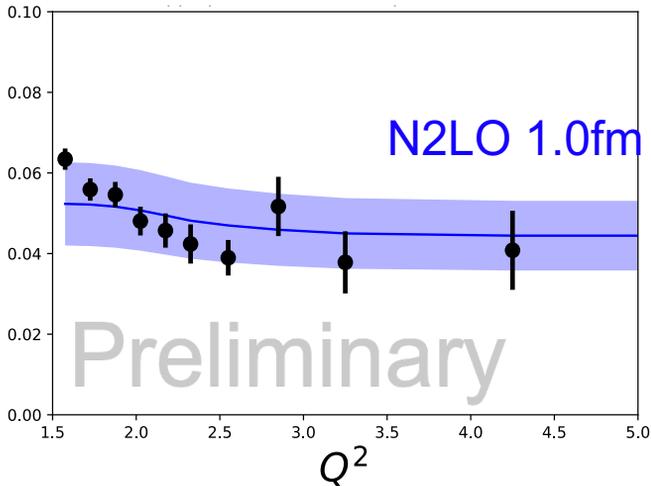


Precision NN interaction



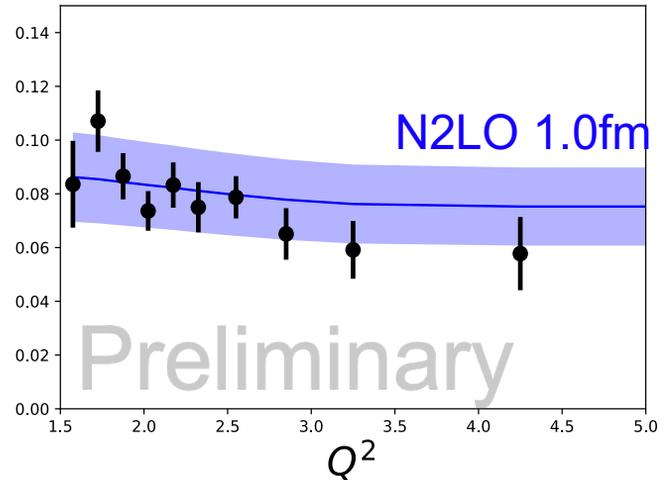
Measuring SRC Probe (In)dependence

$$\frac{He(e, e'pp)}{He(e, e'p)}$$



$$0.55 \text{ GeV} < p_{\text{miss}} < 0.7 \text{ GeV}$$

$$\frac{He(e, e'pp)}{He(e, e'p)}$$

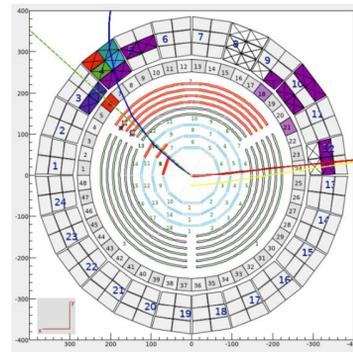
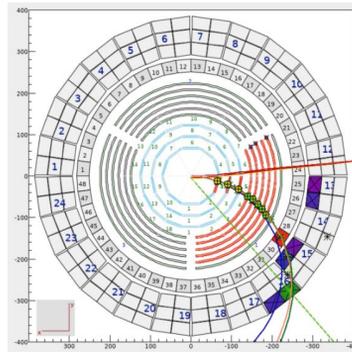
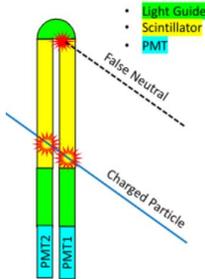


$$0.7 \text{ GeV} < p_{\text{miss}} < 0.85 \text{ GeV}$$



Particle ID for Neutrons in 6 GeV data

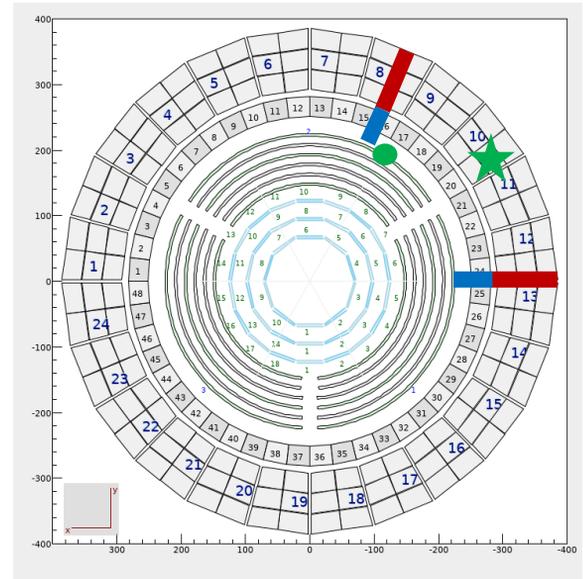
- Developed a general neutron veto for CND with Machine Learning.
- Define “features” to train model on training sample
- Evaluate performance using testing sample





Particle ID for Neutrons in 6 GeV data

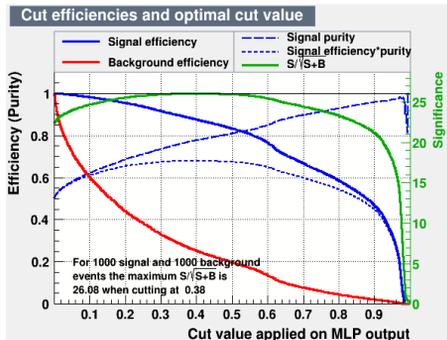
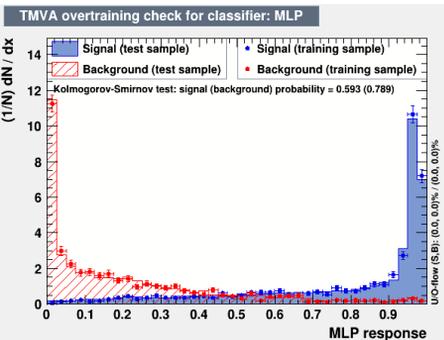
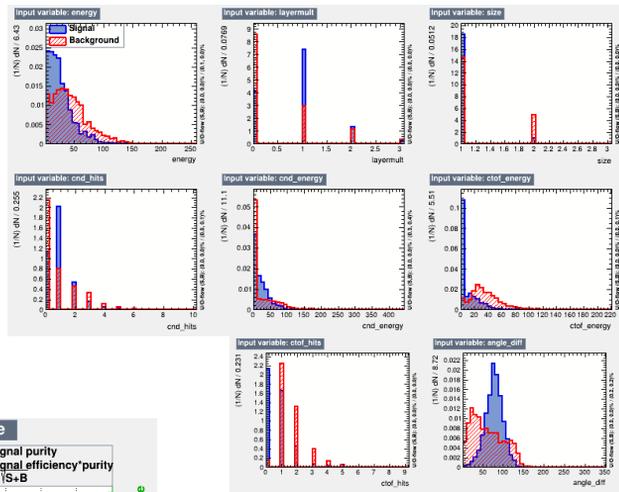
- Number of CND hits within 30 degrees of neutron
- CND energy deposition within 30 degrees of neutron
- Number of CTOF hits within 30 degrees of neutron
- CTOF energy deposition within 30 degrees of neutron
- Number of hits in CND cluster
- Neutron energy
- CND layer multiplicity (0 if CTOF only)
- Angular separation between hit in CVT layer 12 and neutron hit (180° if no track)





Particle ID for Neutrons in 6 GeV data

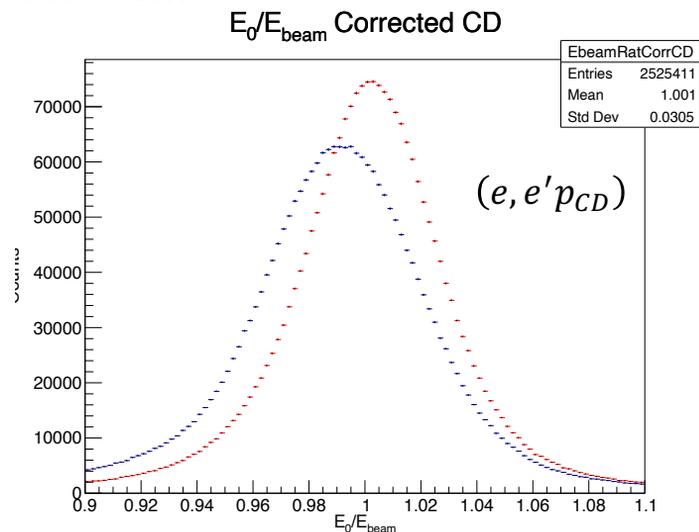
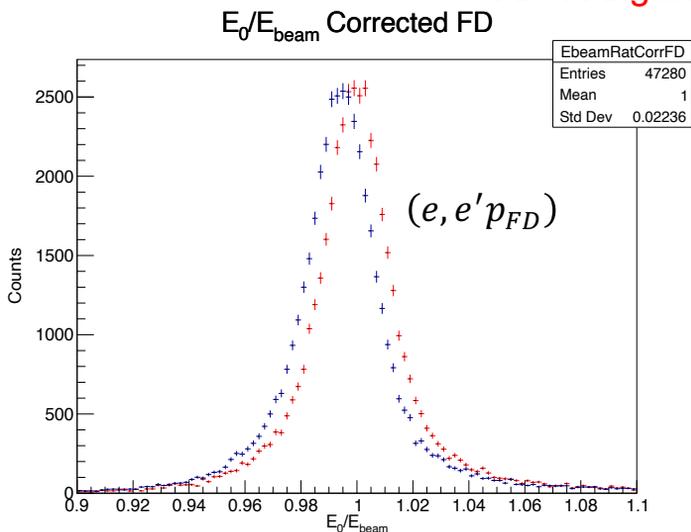
- $d(e, e'pn)$ (signal)
- $d(e, e'p\pi^-p)$ in which CLAS12 reconstruction misidentifies protons as neutrons (background)



Result of Angular Corrections

Before Angular Correction

After Angular Correction



$$E_0 = m_N(\cot(\theta_e/2) \cot(\theta_p) - 1)$$

ECAL Neutrons (Ron Wagner)

- The eff. Was calculated from the **D(e,e'pn)** interaction.
- The eff. Value was defined as:

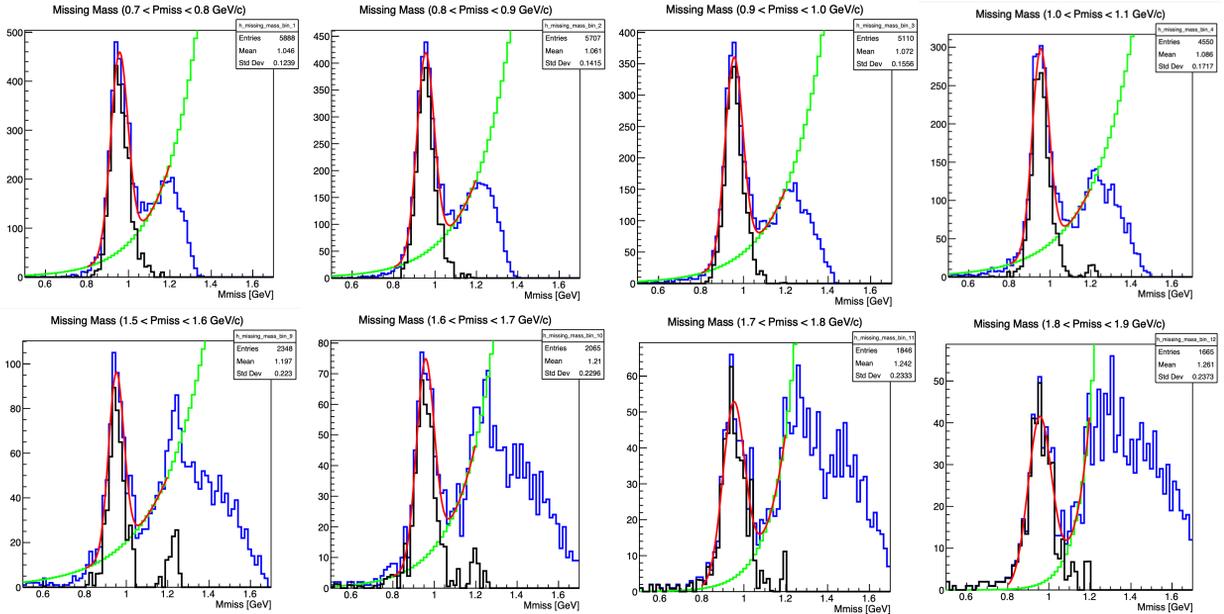
$$eff = \frac{\#(e, e'pn)}{\#(e, e'p)n}$$

- The efficiency was calculated vs the missing momentum of the D(e,e'p)n reaction.

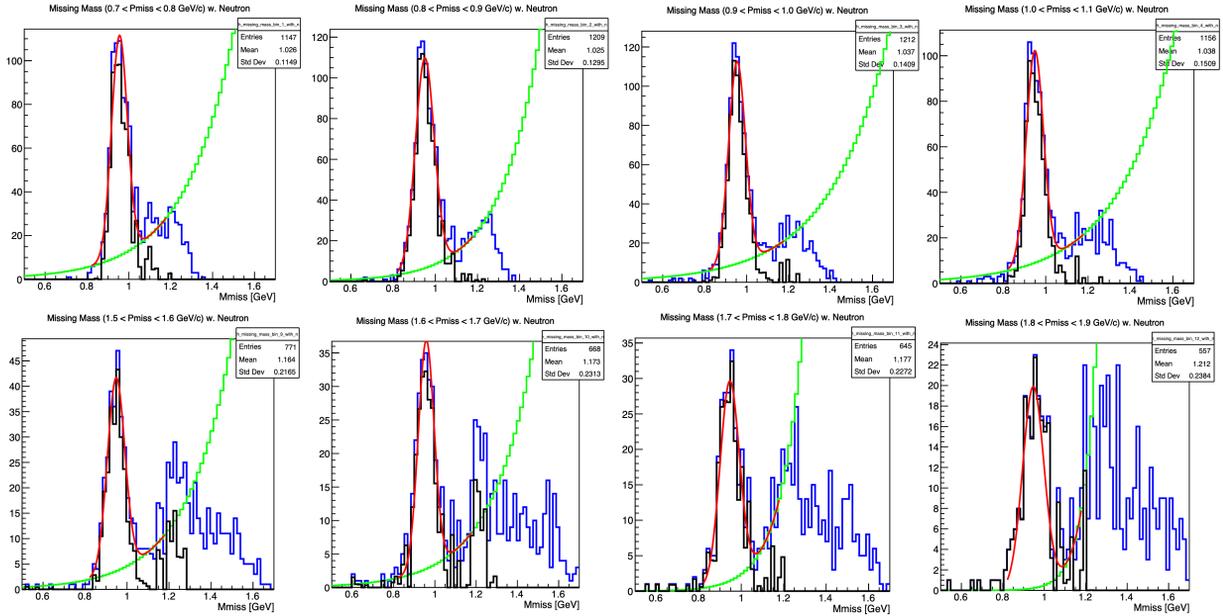
ECAL Neutrons (Ron Wagner)

	Cut	Value
Reduce the amount of leading protons	p/q	$p/q < 0.8$
	θ_{pq}	$\theta_{pq} > 20$
	$ \vec{p} $	$ \vec{p} < 1 \text{ GeV}/c$
Same angular region	θ_{Pmiss}	$8 < \theta_{Pmiss} < 32$
	ϕ_{Pmiss}	$-20 < \phi_{Pmiss} < 20$ For each sector
Fully Exclusive interaction cut	M_{miss}	$0.85 < M_{miss} < 1.05$
Neutron photon separation	$\frac{tof}{path}$	$\frac{tof}{path} > 3.6 \text{ ns}/m$

ECAL Neutrons (Ron Wagner)



ECAL Neutrons (Ron Wagner)



CND Neutrons (Igor Parshkin)

CUTS

● e'p cuts:

- $x_B > 1.2$ && $Q^2 > 1$
- Missing Momentum [0.25, 0.8]
- Missing Mass 2 sigma cut
- Theta of Missing Momentum [60, 120] deg
- Electron vertex cut
- Electron-proton vertex 3 sigma cut
- Leading proton cuts:
 - (Proton momentum)/q [0.62, 0.95]
 - Opening angle (proton and q) [0, 25]
- Phi between proton and missing momentum > 45 deg

• e'pn cuts:

- Deposited Energy > 5 MeV
- Neutron theta [60, 120] deg
- Neutron time per meter [4.2, 14]
- Neutron-missing momentum 3 sigma cut
- Cosine of opening angle between neutron and missing momentum > 0.897