

BONuS12 Analysis Status Update

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(On behalf of the CLAS Collaboration)

Outline

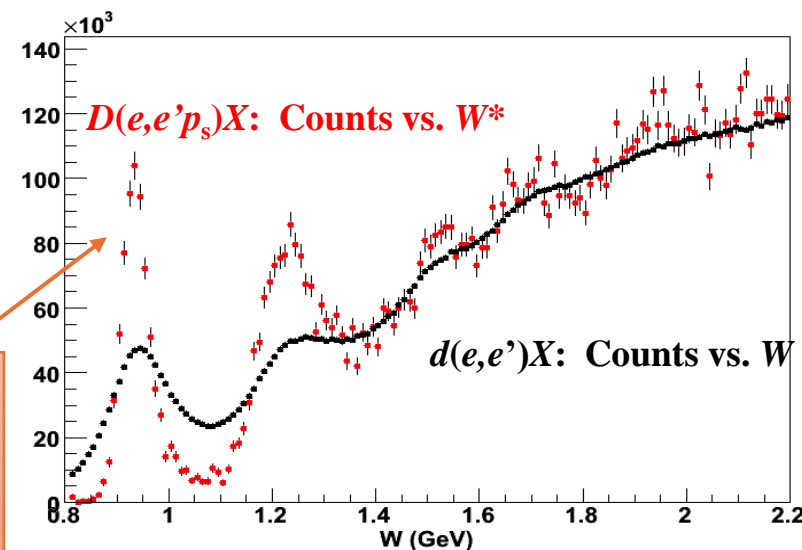
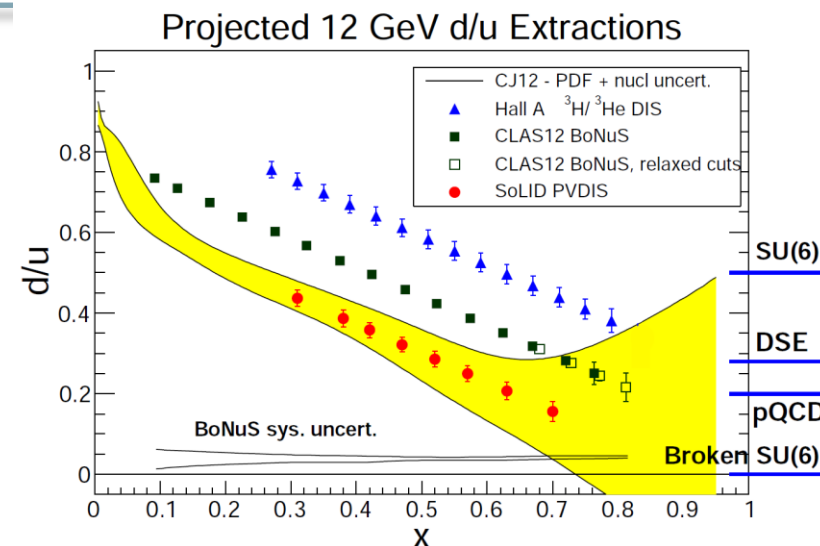
- Physics Motivations
- Experimental Setup & Recoil Detector
- Data analysis & Preliminary Results
- Summary

Physics Motivations

- There are many experiments provide precise measurements on F_2^p and F_2^d , but less precise for F_2^n , especially at large x , where different theoretical models have different predictions
- As it is difficult to prepare free neutron in the experiment, F_2^n would be obtained from bound neutron inside the nucleon. Yet, the nuclear corrections will have theoretical model dependence at large Bjorken- x
- BONuS12 : By using the spectator tagging technique, which measure the spectator-proton bound in the nucleon, could reduce the model dependence by constraining the kinematic.

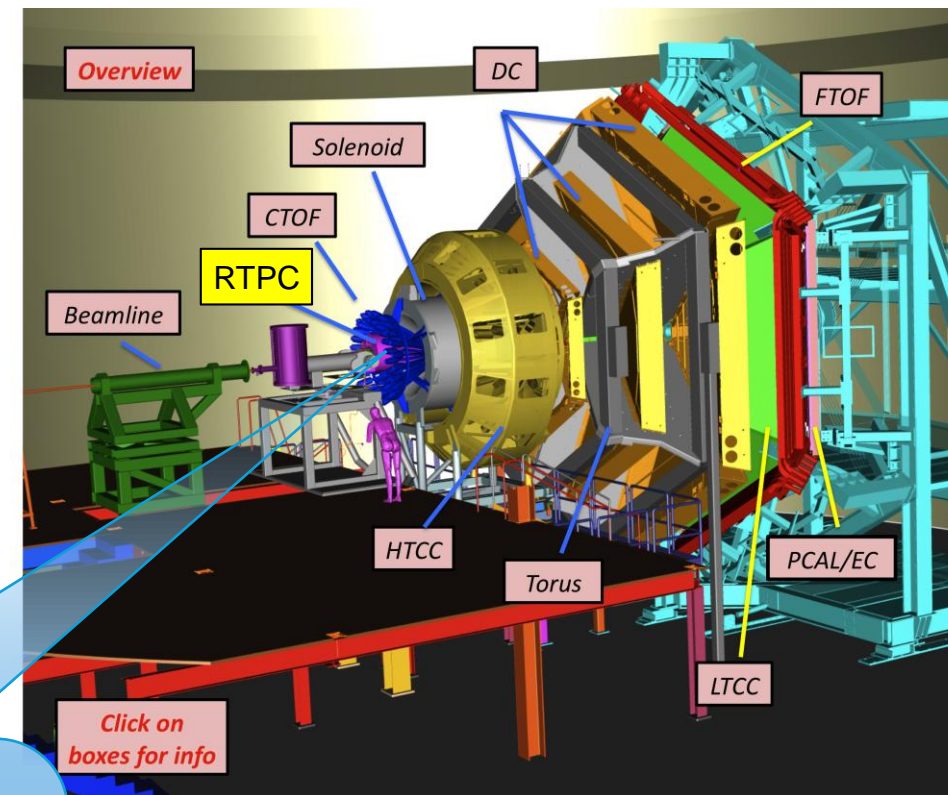
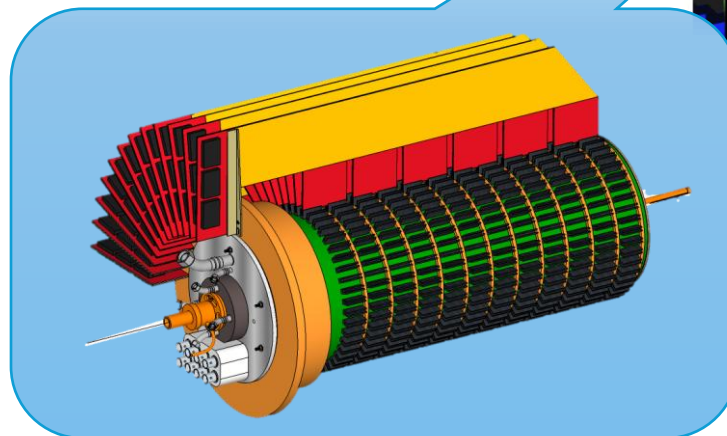
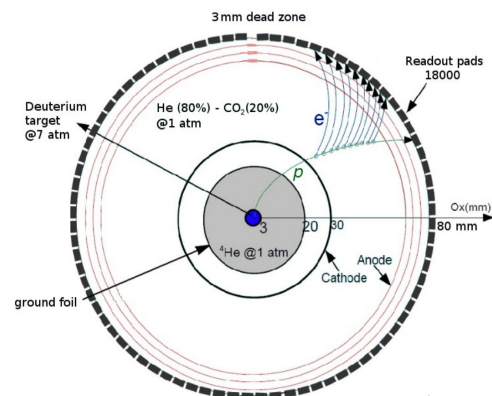
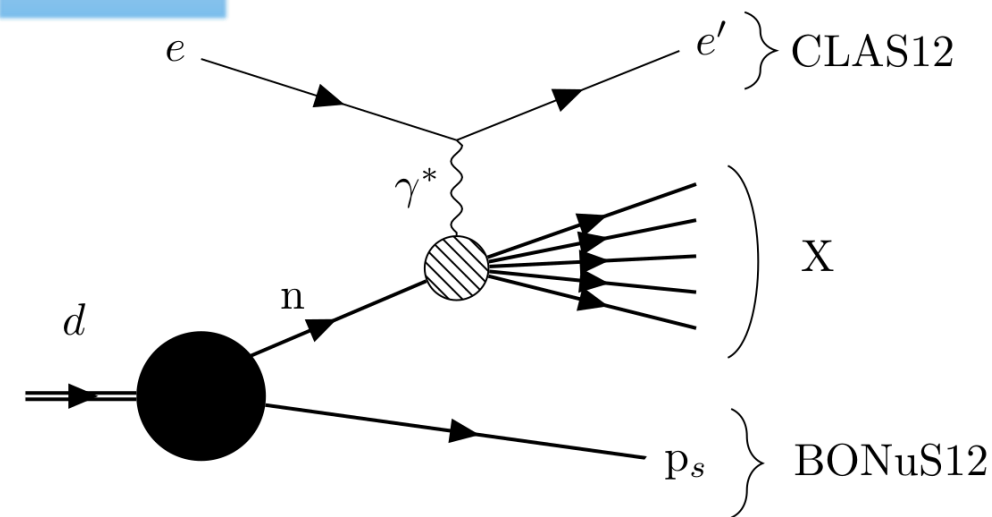
$$W^{*2} \approx M^{*2} - Q^2 + 2M\nu(2 - \alpha_s)$$

$$M^{*2} = (M_d - E_s)^2 - |\vec{p}_s|^2 \quad \alpha_s = \frac{E_s - \vec{p}_s \cdot \hat{q}}{M_s}$$



BONuS12 Experimental Setup

10.4 GeV

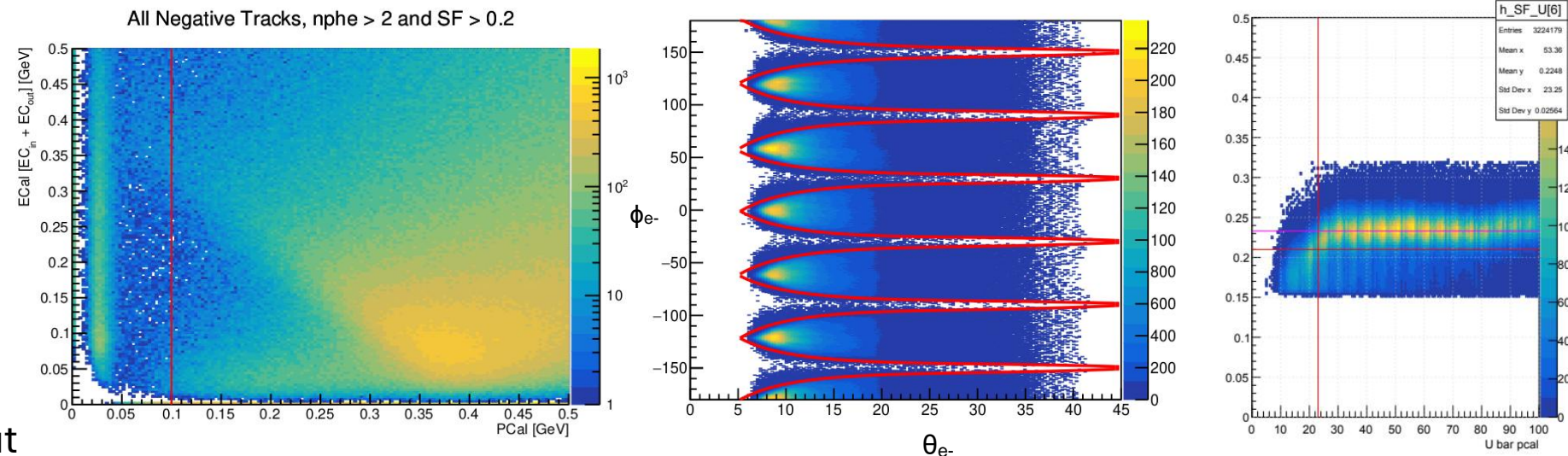


Beam Energy	Target	Spring 2020	Summer 2020
1 Pass Data	H2	81M	185M
	D2	37M	45M
	4He	19M	44M
	Empty	1M	22M
	Total	138M	296M
5 Pass Data	H2	151M	266M
	D2	2275M	2355M
	4He	77M	51M
	Empty	21M	45M
	Total	2524M	2717M

Event selection — DIS Electron at 10.4 GeV for D_2 target

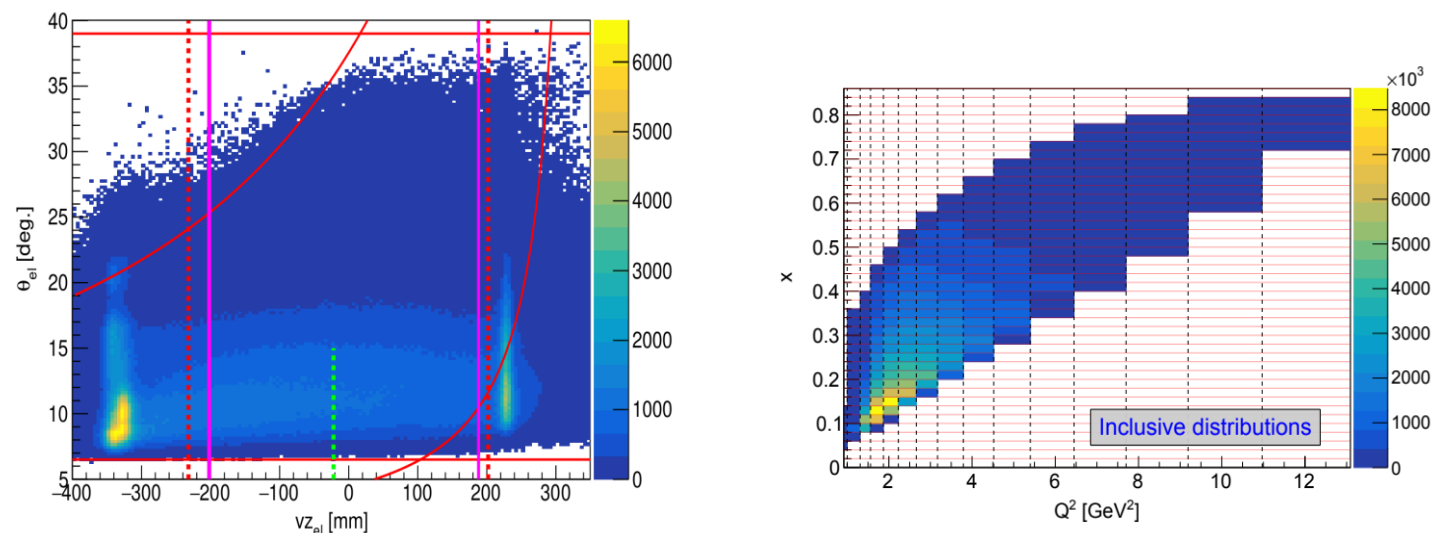
Electron selection cuts

- PID = 11
- nphe > 2
- $EC_{in} > 10$ [MeV]
- $E_{PCal} > 100$ [MeV]
- DC fiducial cuts
- $E' > 2.6$ [GeV]
- νZ_{e-}
- νZ_{e-} & θ_{e-} 2D geometric cut
- $\theta_{e-}^{local} > 7.0$ [Deg.]
- PCal SF and Fiducial cuts:



Additional DIS cuts

- $W > 1.8$ [GeV] (for Exp. And Sim.)
- $Q^2 > 1.56$ [GeV²]



Event selection — Spectator Proton in nDIS at 10.4 GeV for D_2 target

RTPC track quality cuts:

- The radius of curvature of tracks (< 0)
- Cut on χ^2 of helix fitter (< 5)
- Number of hits in a track (> 10)
- Cut on the maximum radius [67~72] [mm]
- Fiducial cut (v_z : [-210~180][mm])

PID Cuts:

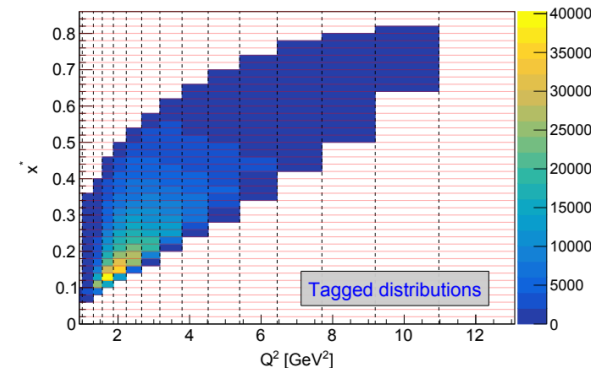
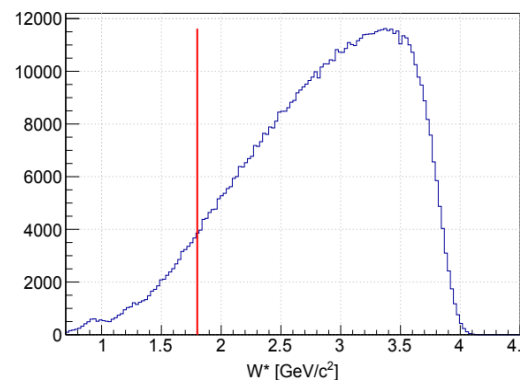
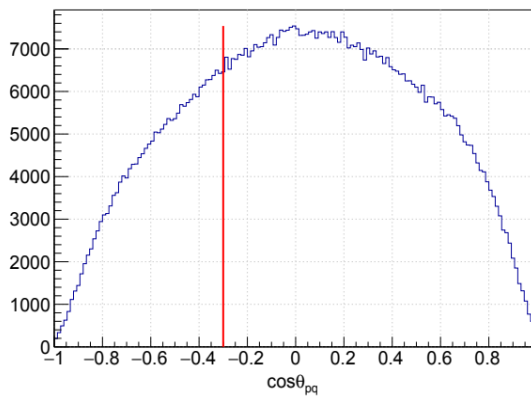
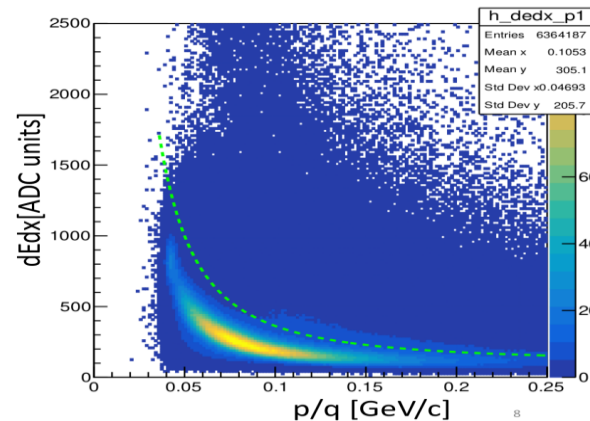
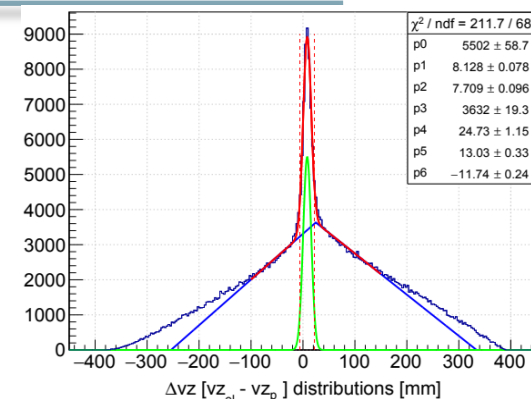
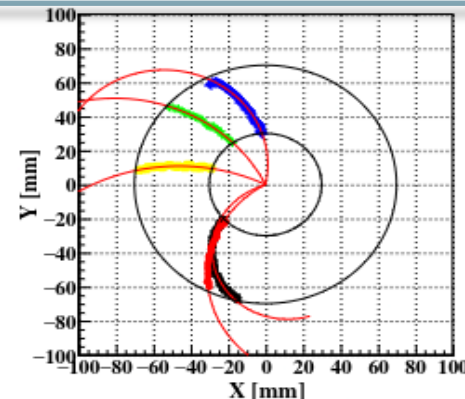
- Run-dependent Cuts on dEdx vs. p/q band for proton selection

ep Coincidence cuts

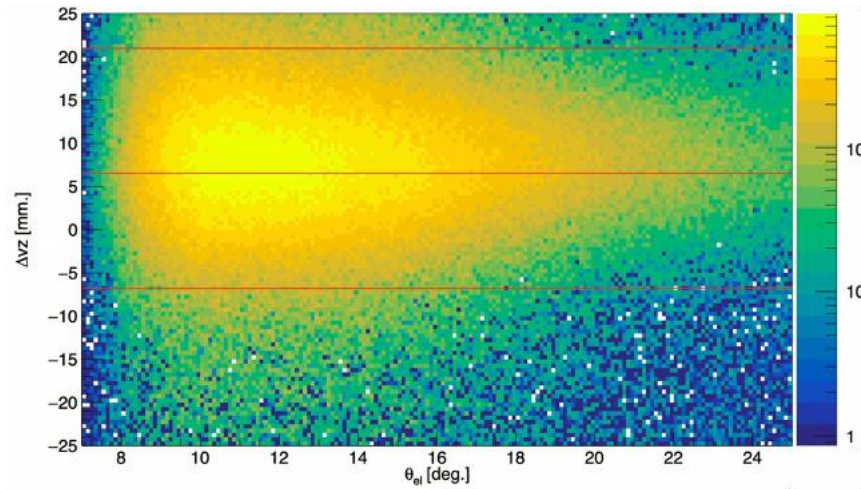
- Vertex coincidence cuts
- Timing coincidence

DIS & VIP cuts — To minimize the nuclear uncertainties (e.g. FSIs, Target Fragmentation, etc.)

- $W^* > 1.8$ [GeV]
- $0.075 < p_{ps} < 0.1$ [GeV/c]
- $35^\circ < \theta_{ps} < 145^\circ$
- $\cos(\theta_{pq}) < -0.3$



Event selection — Vertex coincidence cuts ($\Delta v_z = v_{z,e} - v_{z,p}$)



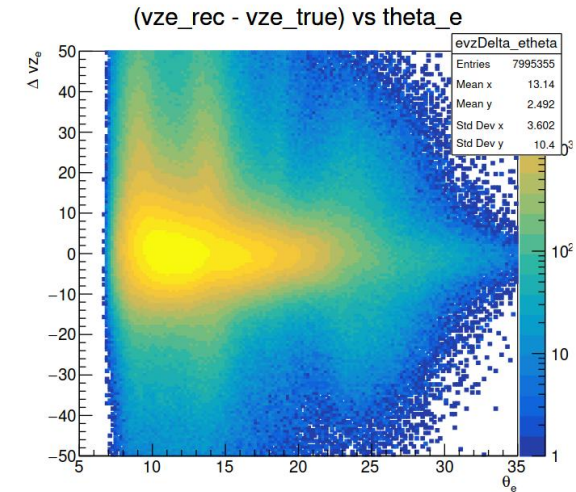
Δv_z cut for **data** is 2σ around μ , separately for each sector \rightarrow

θ -dependence of μ and σ leads to θ -dependent inefficiency (Gaussian tails outside the cut)

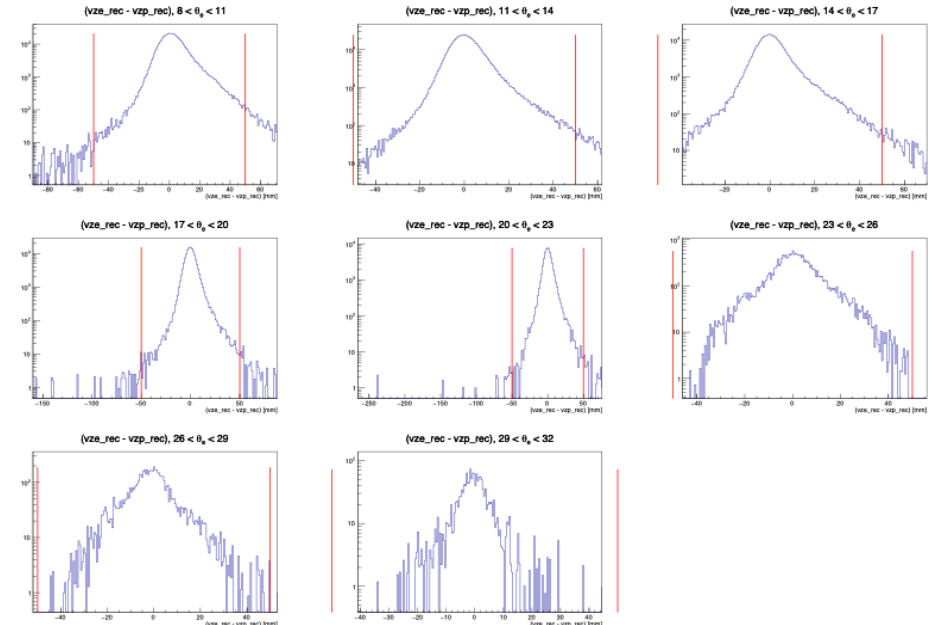
\rightarrow Correct yield for the cut efficiency

For **MC**, we had to use much wider Δv_z cuts (± 5 cm) due to distortion in tracking leading to mis-reconstructed θ_e and Δv_z .

\rightarrow Remaining inefficiency is small ($< 0.45\%$) but also corrected for.



Δv_z in different θ_e bins

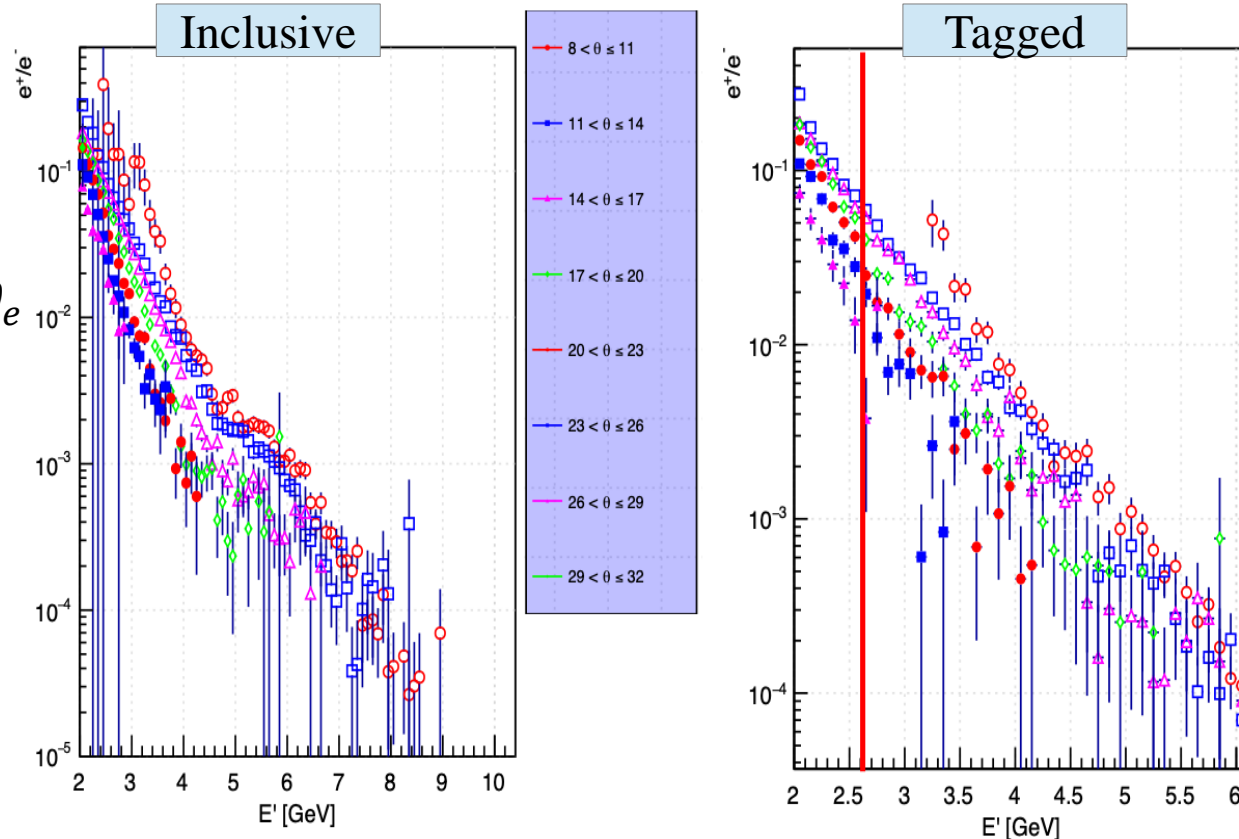
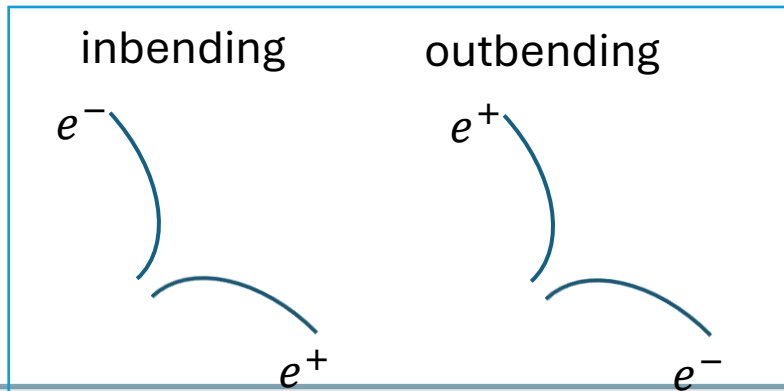


Background evaluation for experimental data — Pair Symmetric Background

There are still a number of events, but not the true ones, that passed the criteria as the background.

Electron

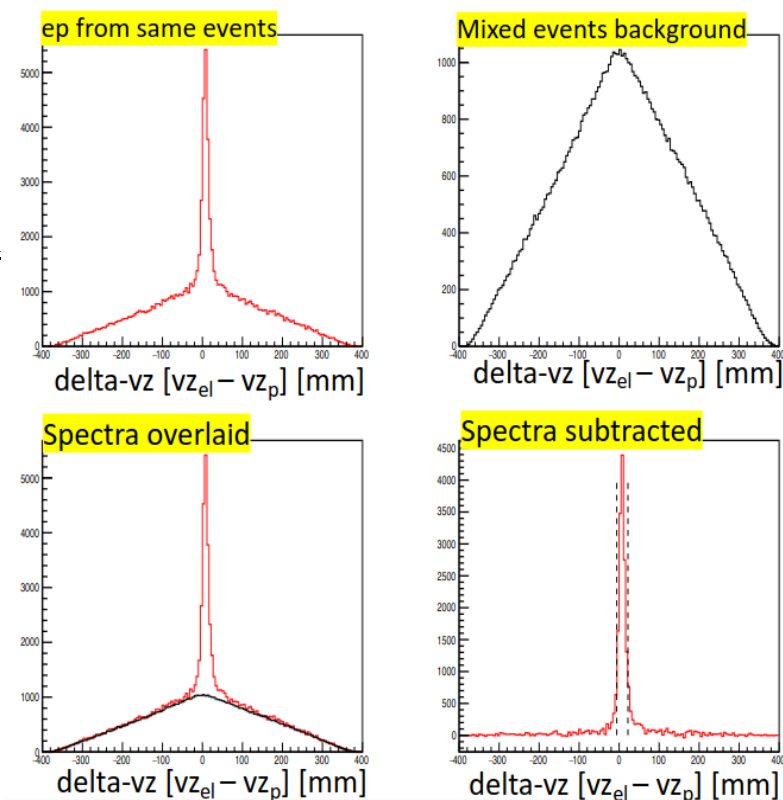
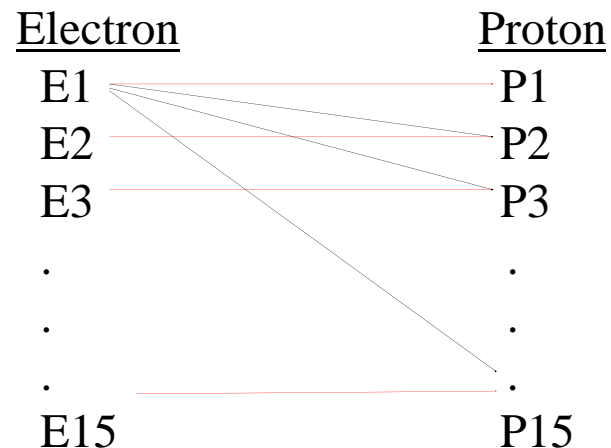
- Pair Symmetric Background: $\pi^0 \rightarrow e^+ e^- \gamma$
 - Secondary electron as trigger particle
 - Electron and positron have same behavior in the opposite direction of the magnetic field
 - Look at the ratio of the outbending position to the inbending electron $\frac{e^+}{e^-}$ as function of E' in different θ_e bins.
- $N_{e-,scattered} = N_{e-,measured} \left(1 - \frac{N_{e+,measured}}{N_{e-,measured}}\right)$



Background evaluation for experimental data — Accidentals

Proton

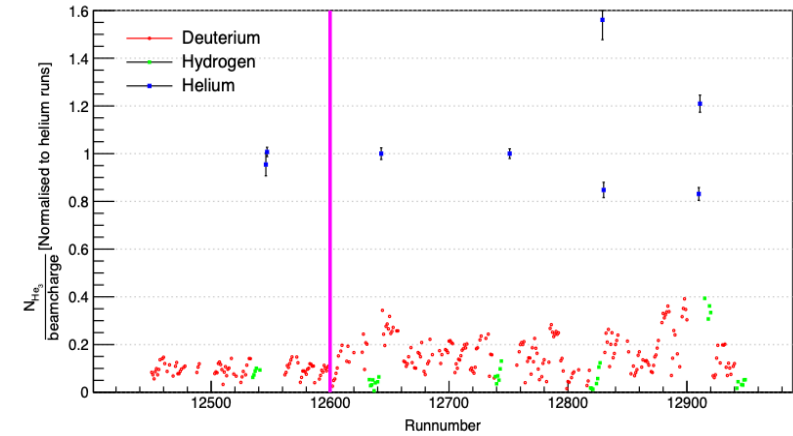
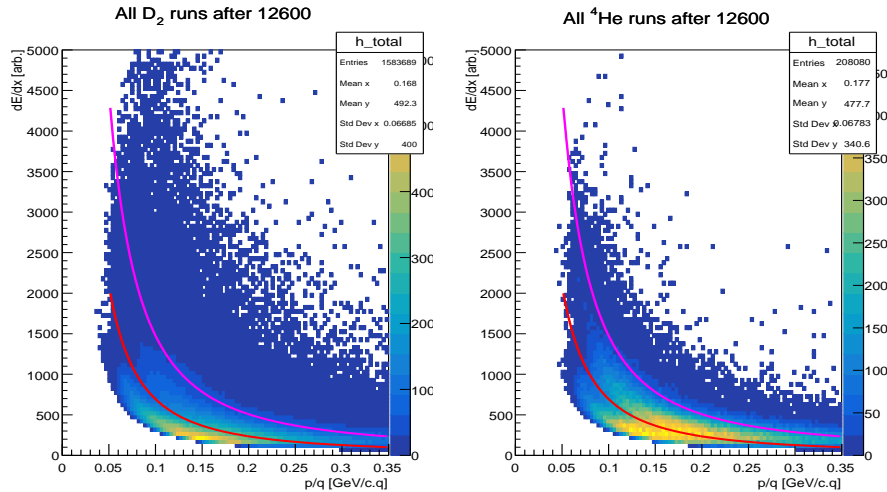
- Accidental Background
 - Due to ionization electron inside RTPC drift slowly, the coincidence cuts are wider
 - A significant number of accidental coincidence is included
- Procedure: For every **15 consecutive events** passing all selection criteria:
 - Perform event mixing and form 15x15 ep pairs
 - 15 ep pairs** [Red in fig.] from the same event
 - 210 combinatorics backgrounds** [Black in fig.]
 - Scale background count by **14**.



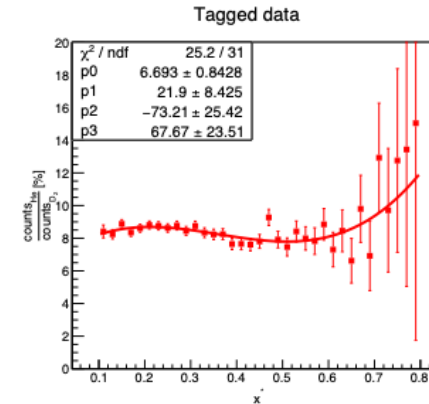
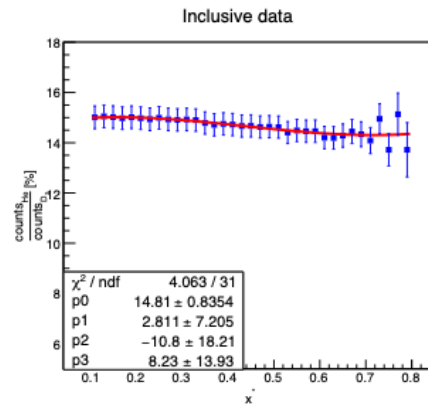
Background evaluation for experimental data — ^4He Contamination

Proton

- Deuterium Target Contamination
 - ^4He could diffuse into the target straw from the surrounding buffer gas region
 - Estimated using $^3\text{H}/^3\text{He}$ band in dE/dx vs. p/q from D_2 runs and ^4He runs.



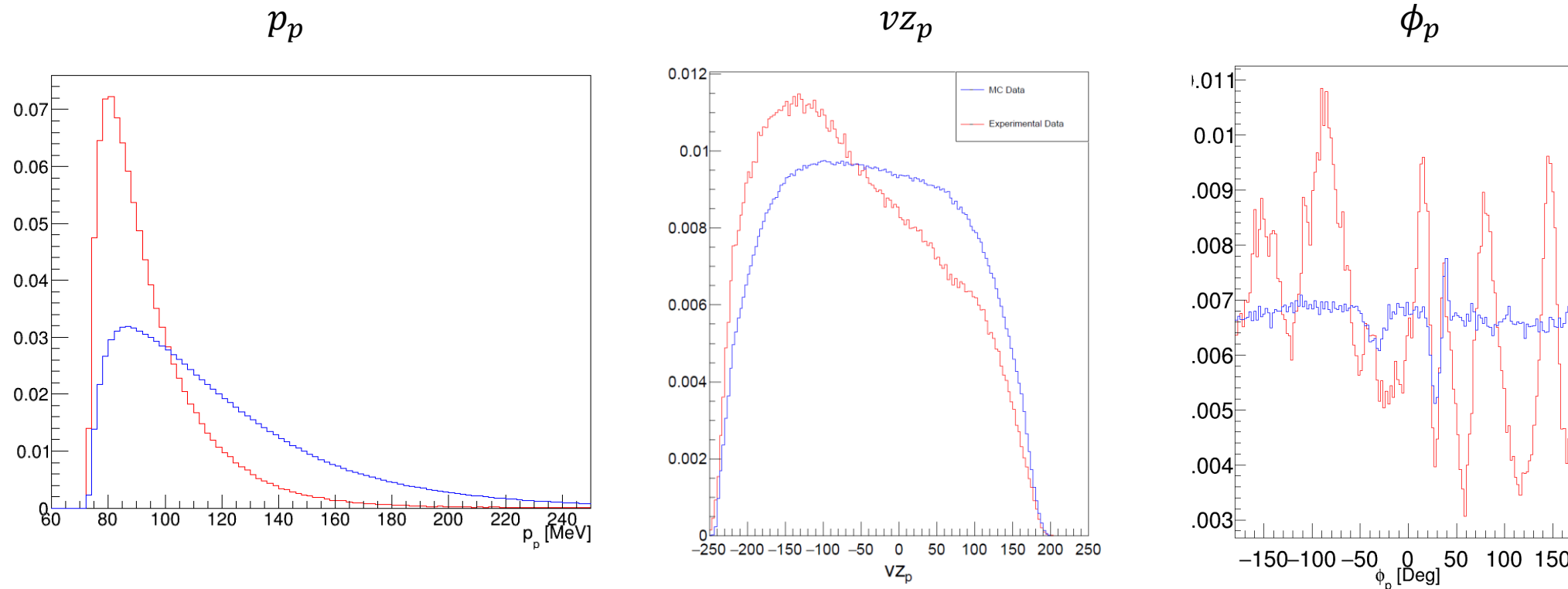
- VIP fraction coming from ^4He corrected using polynomial fit.



Dr. M.Pokhrel's Thesis

Simulation for BONuS12

- **Generator:** PWIA spectator model with 2014 Bosted/Christy fit to world data for F2n and F2d, AV14 D wave function, relativistic motion of struck nucleon, and equivalent radiator method for internal rad. Effects.
- **Full GEMC** simulation chain for both tagged and inclusive spectra with RTPC implement
- A realistic efficiency of RTPC is still needed to implement into the simulation.
- Introduce the weighting factors to each selected event so that the final distributions can match the real data.
- The weight factors are evaluated from proton momentum, v_z , and ϕ_p
- The total weight factor = $\text{weightInP} * \text{weightInVZ} * \text{weightInPhi}$;



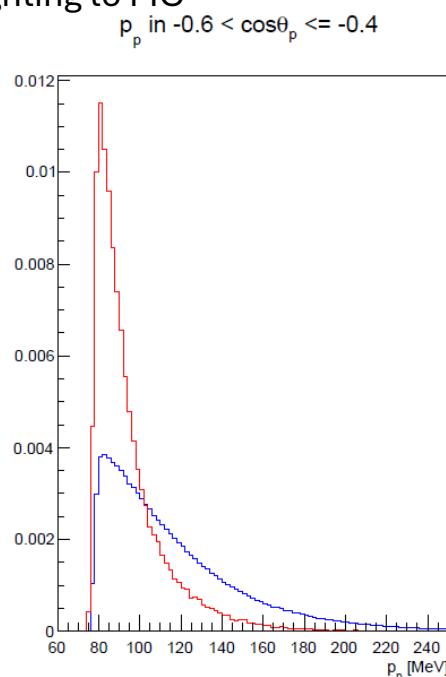
- MC. Data
- Experimental Data

Momentum weighting on MC

Procedures

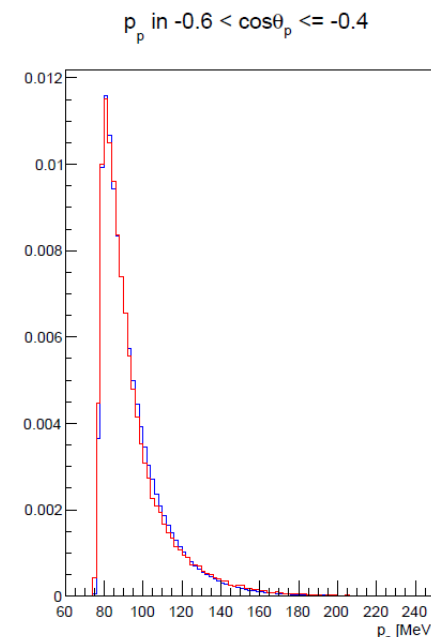
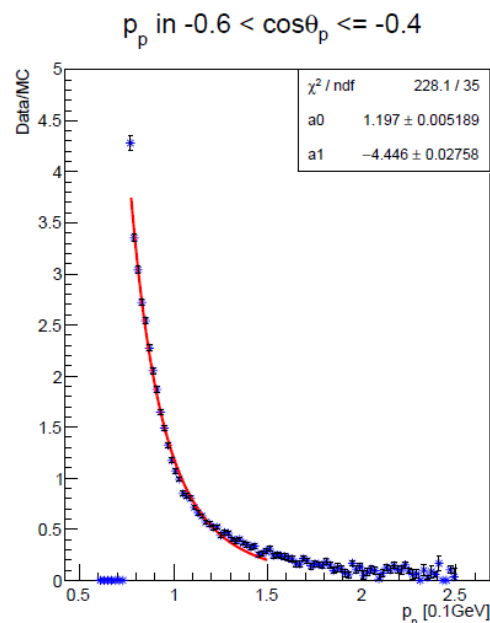
- Divided the tagged data in 10 $\cos \theta_p$ bins
- Calculate the Data/MC ratio, made plots as function of p
- Fit the Data/MC vs. p
- Extract the fitting parameters in the individual θ_p bins and fit them as a function of $\cos \theta_p$.
- Implement the weighting on MC to Match experimental data

Before weighting to MC



After weighting to MC

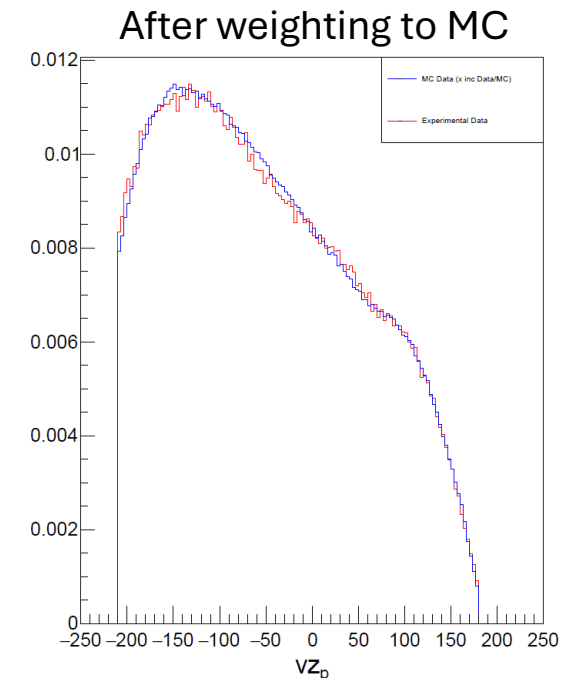
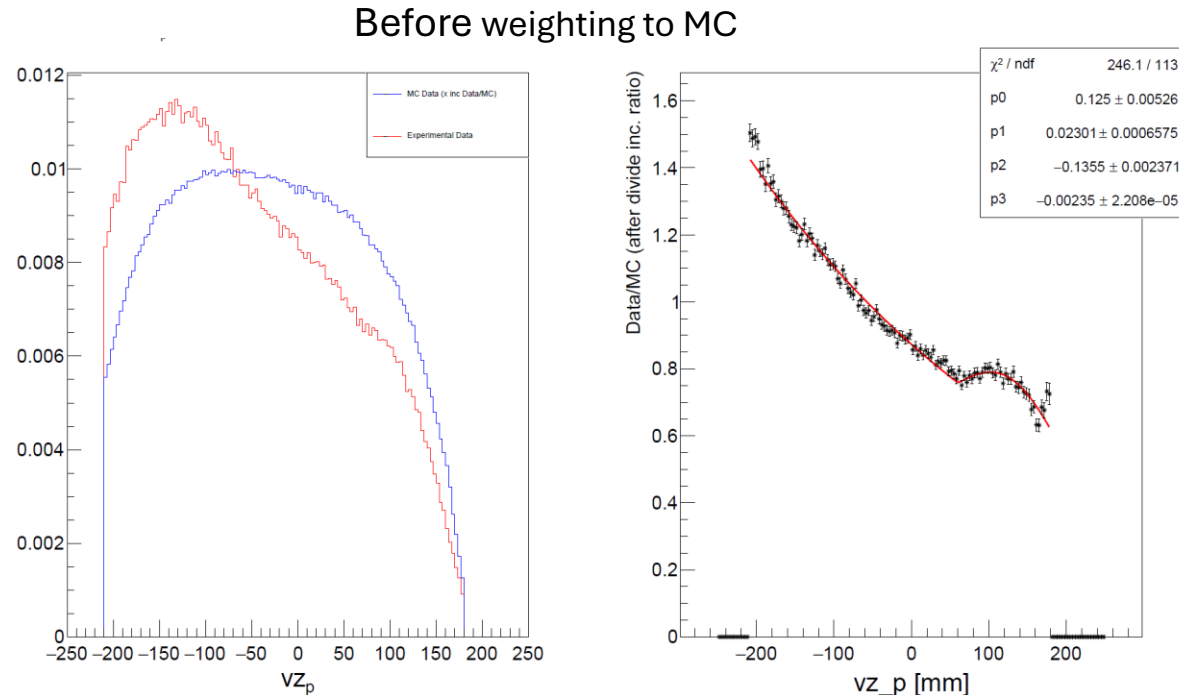
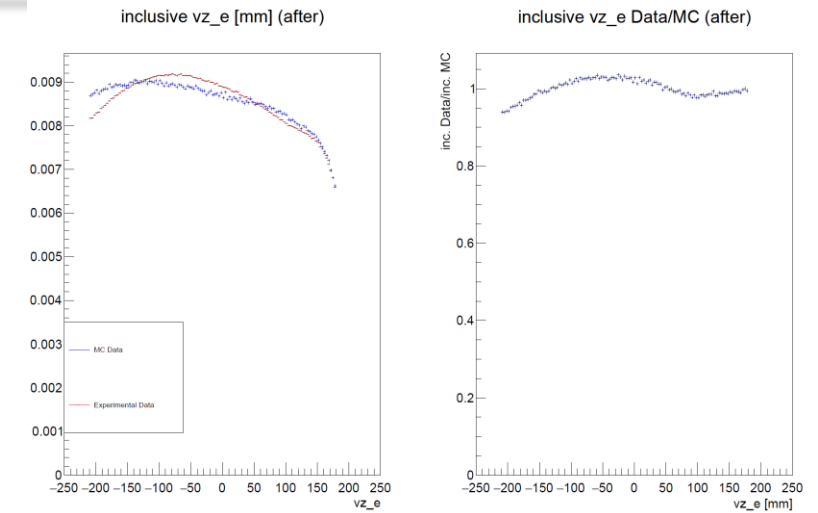
- MC. Data
- Experimental Data



z-vertex weighting on MC

Procedures

- Calculate the Data/MC ratio of vz_p , with eliminating the affect come from vz_e by dividing the inclusive vz_e ratio
- Fit the Data/MC vs. vz_p
- Parameterize the weight factor as a function of vz_p .



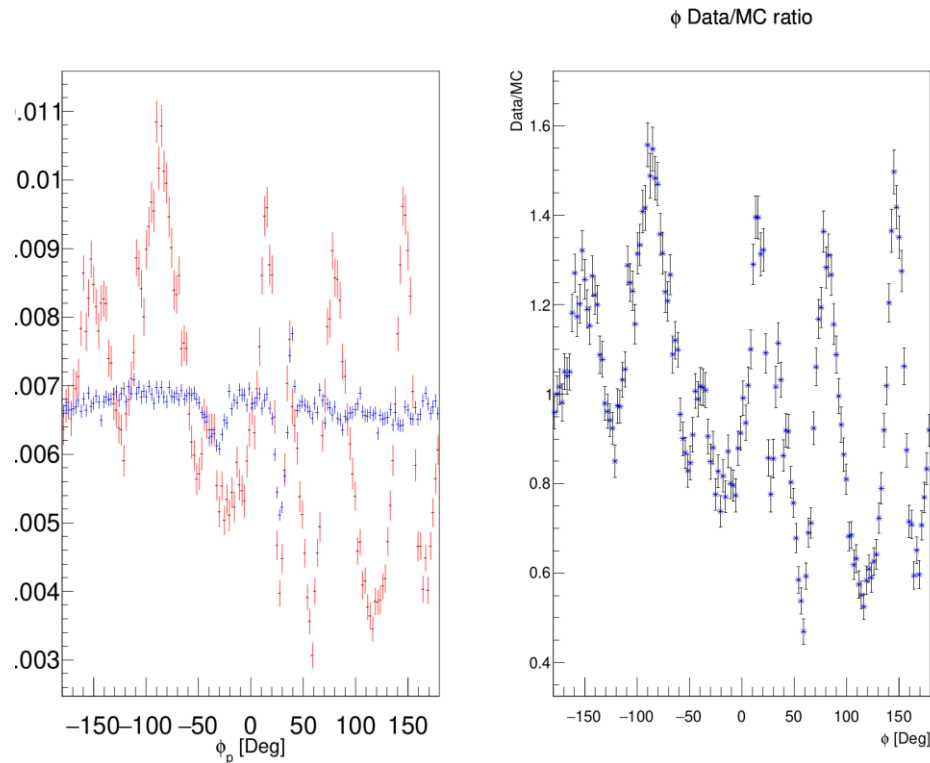
- MC. Data
- Experimental Data

ϕ_p weighting on MC

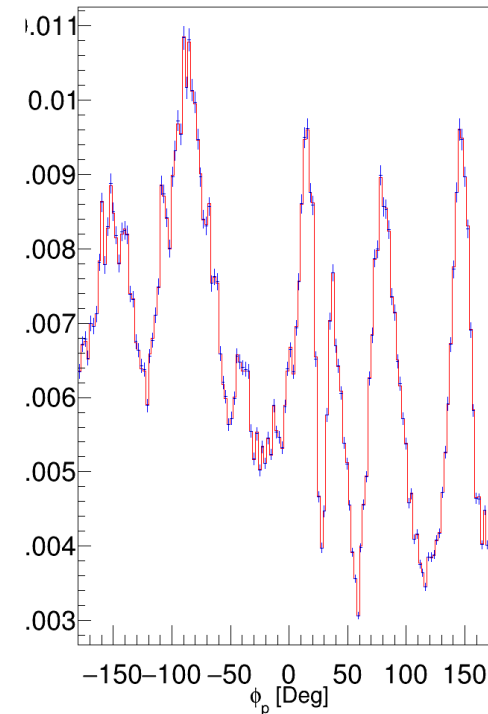
Procedures

- Calculate the Data/MC ratio for each bin from the histogram, made a table of the ratio in ϕ_p
- The weight factor is the ratio if ϕ_p is filled within that bin.

Before weighting to MC



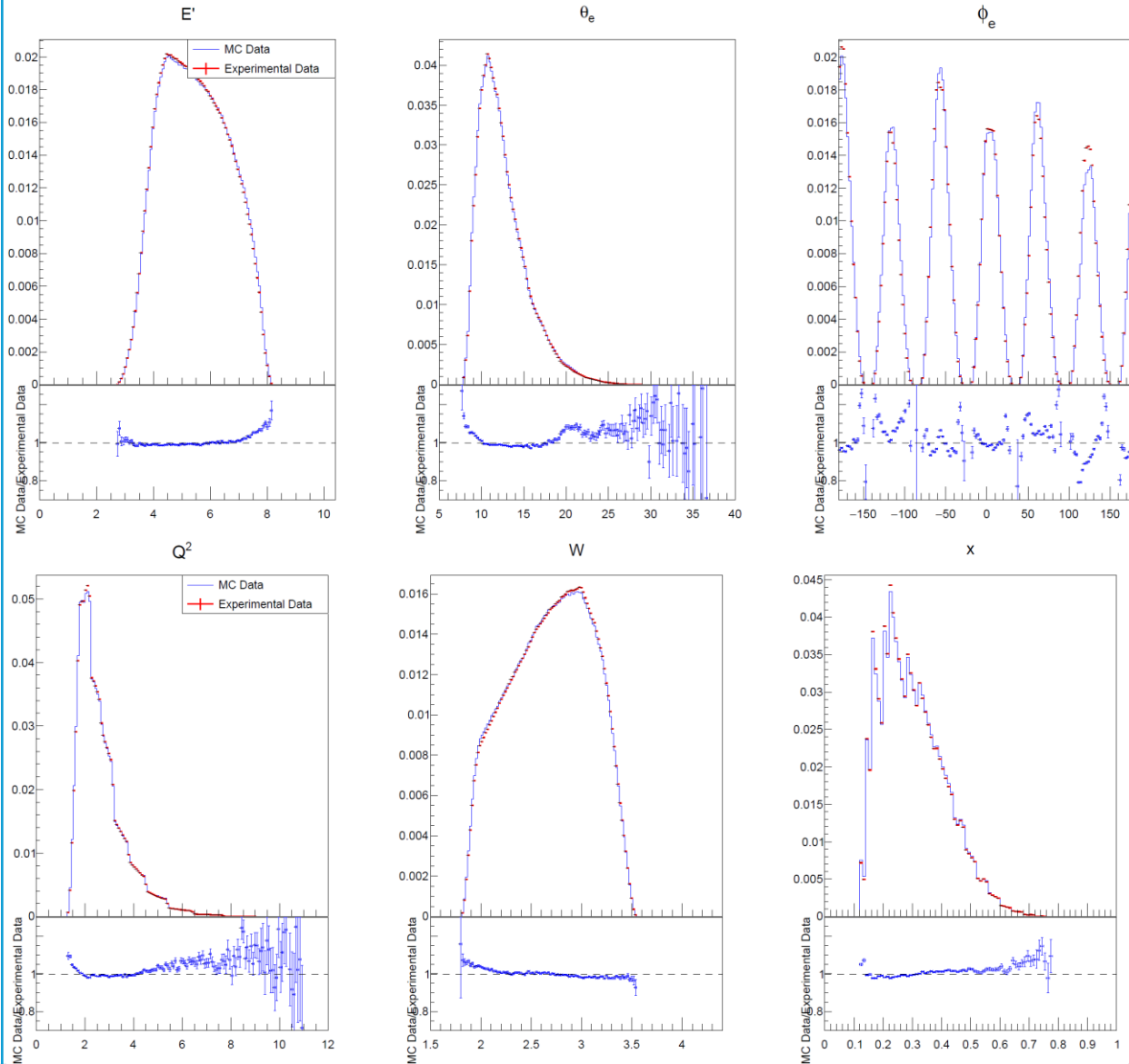
After weighting to MC



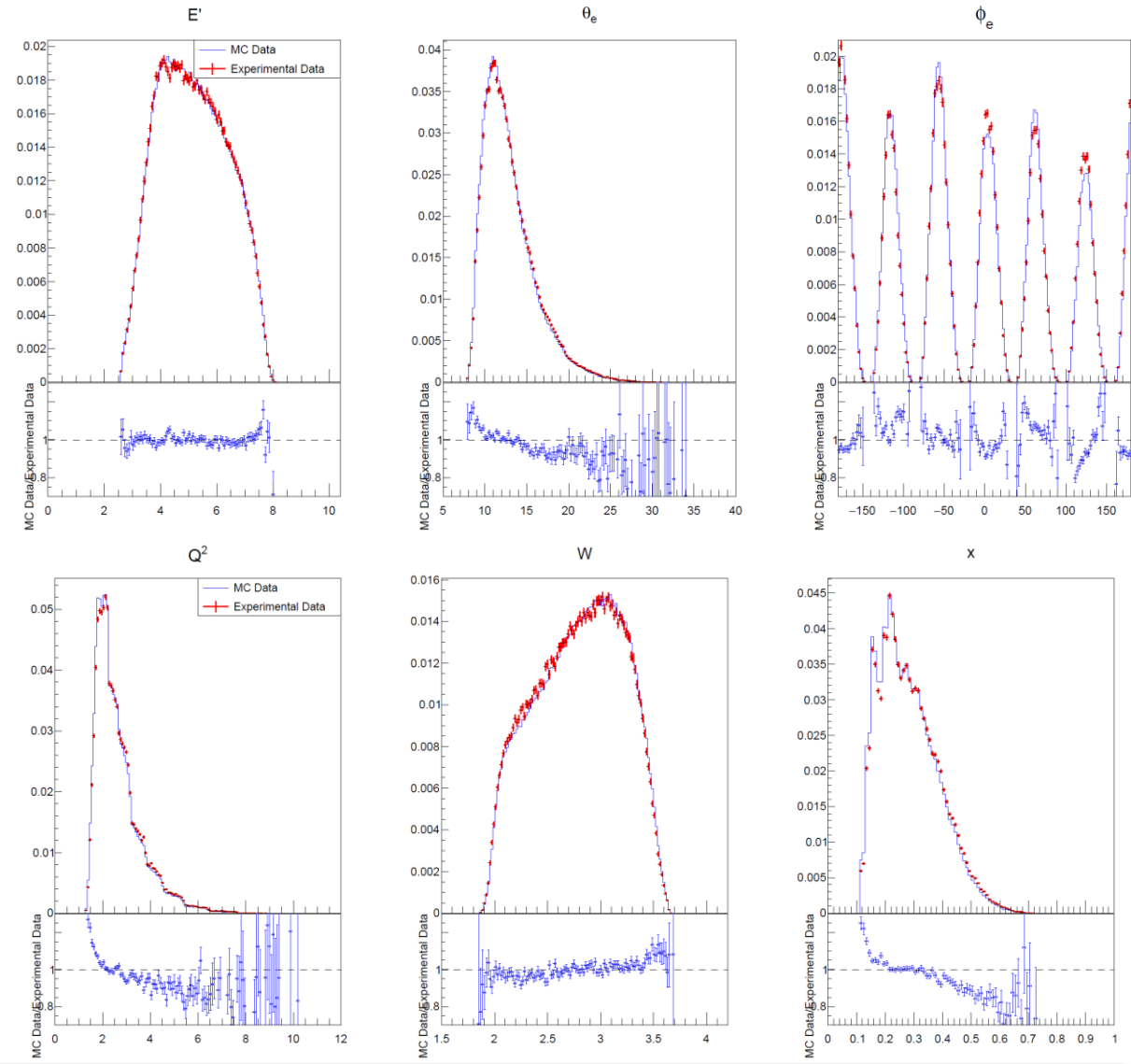
- MC. Data
- Experimental Data

Data & MC comparison — Electron

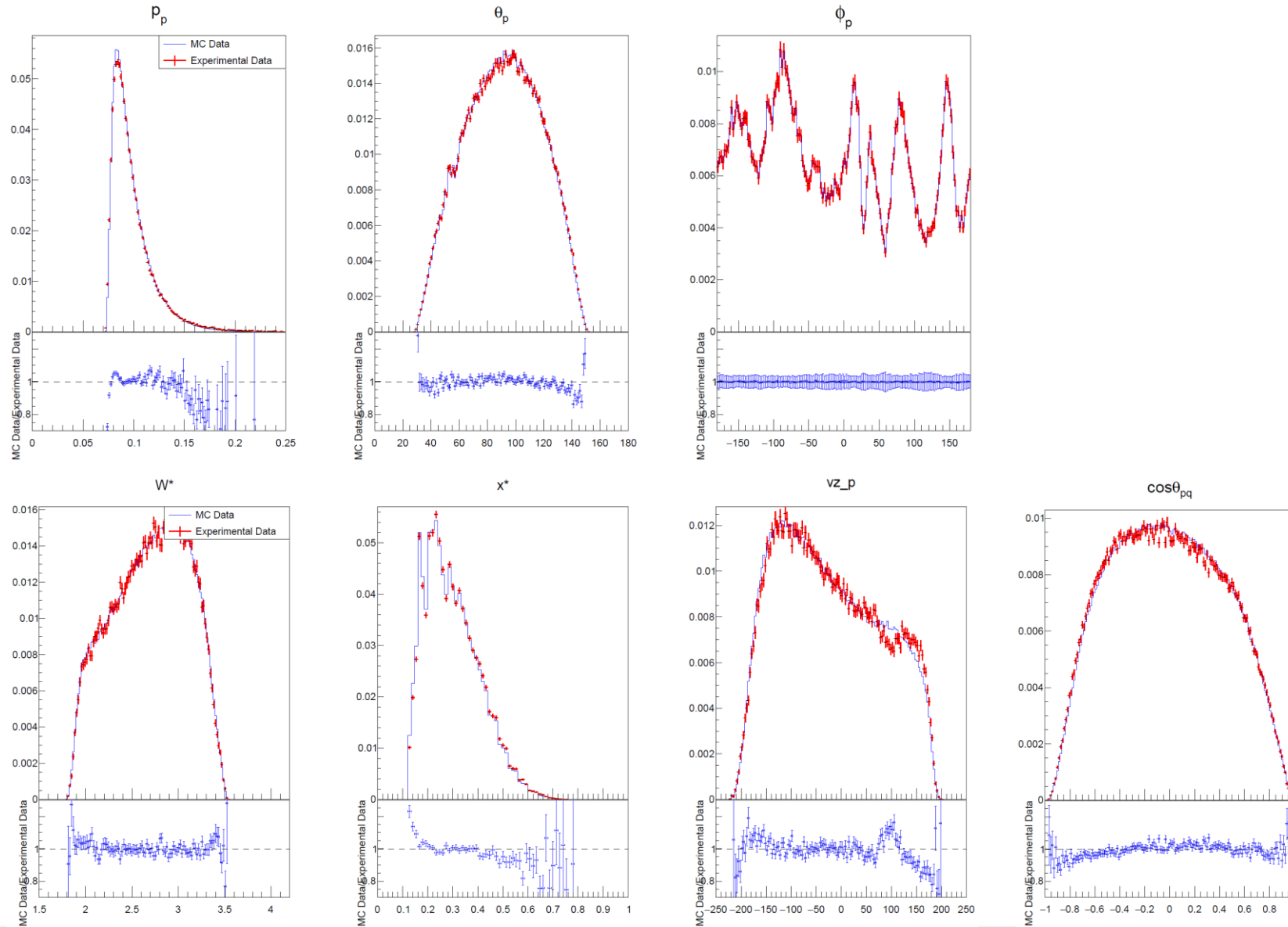
Inclusive



Tag



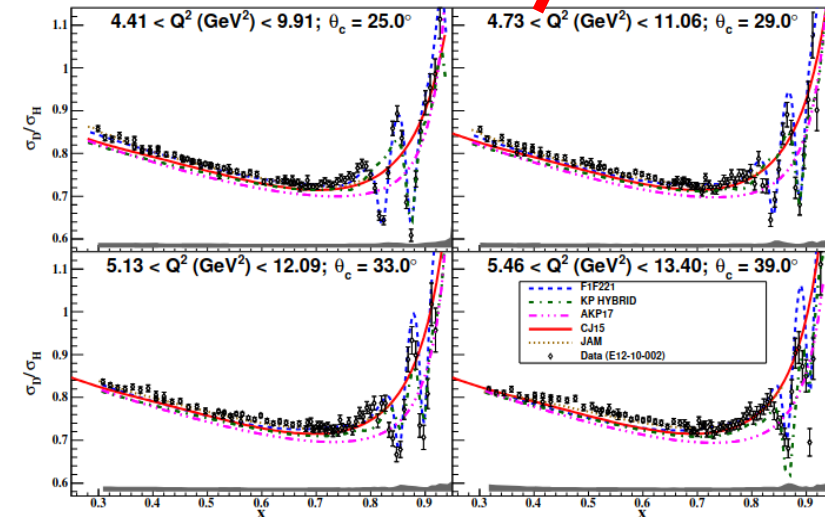
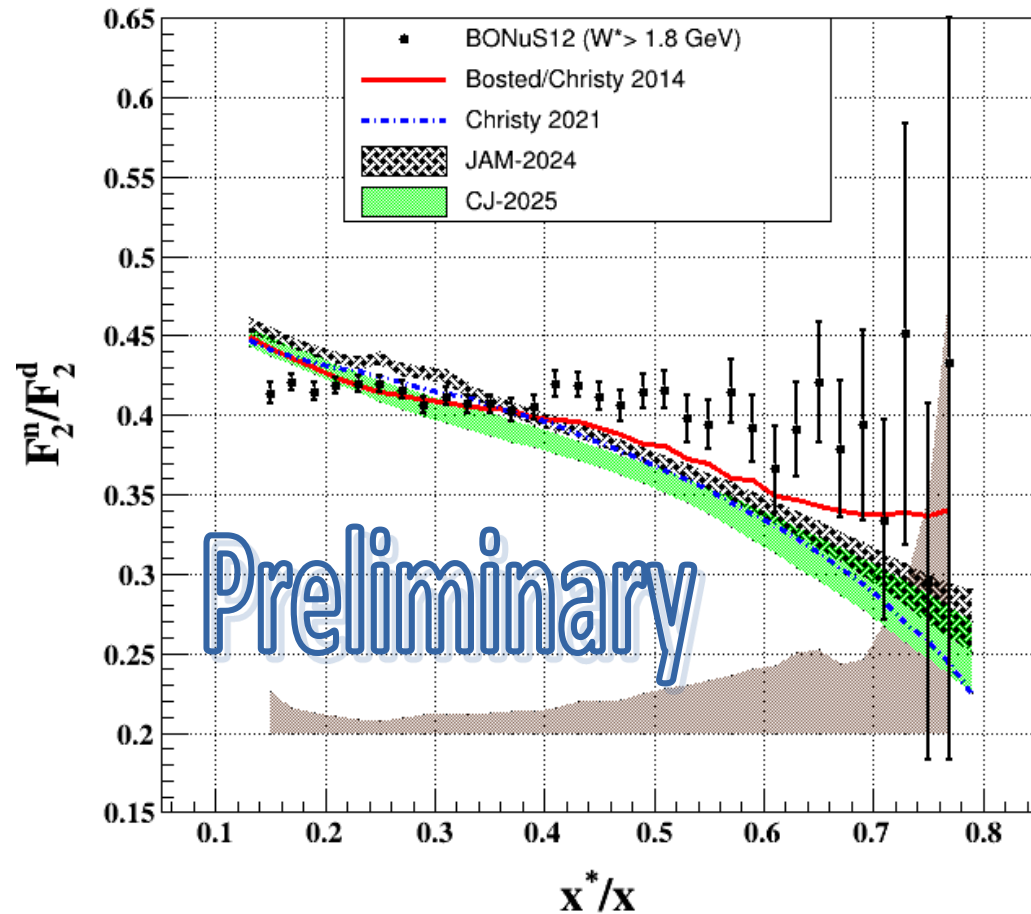
Data & MC comparison — Proton



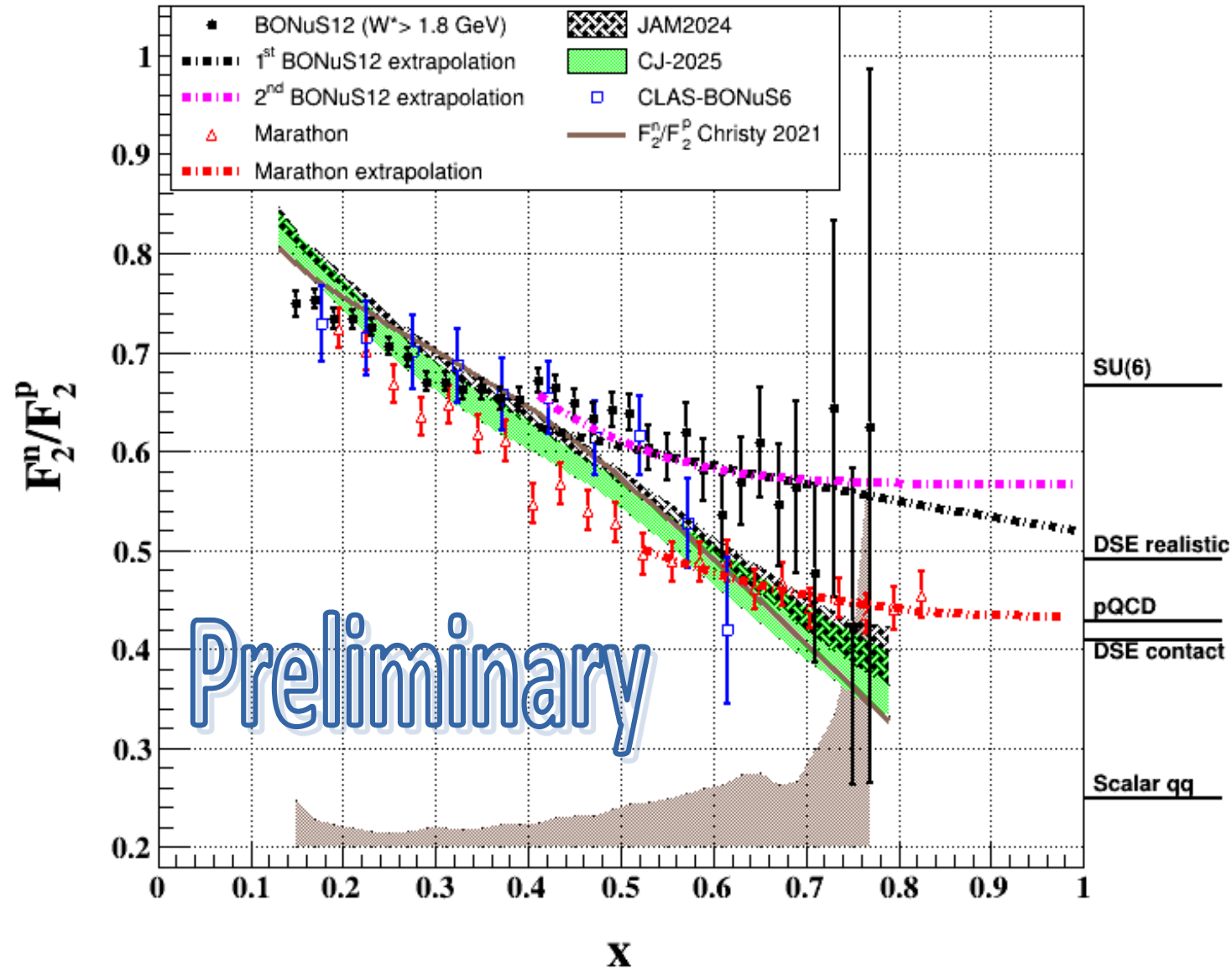
BONuS12 Preliminary Results — F_2^n/F_2^d

$$\left(\frac{F_{2n}}{F_{2d}}\right)^{\text{true}} = \text{Constant} \cdot \left(\frac{F_{2n}}{F_{2d}}\right)^{\text{Gen}} * \frac{\left(\gamma_{\text{tag}}^{\text{Data}} / \gamma_{\text{inc}}^{\text{Data}}\right)}{\left(\gamma_{\text{tag}}^{\text{MC}} / \gamma_{\text{inc}}^{\text{MC}}\right)}$$

$$\left(\frac{F_2^n}{F_2^p}\right)^{\text{true}} = \left(\frac{F_{2n}}{F_{2d}}\right)^{\text{true}} * \left(\frac{F_{2d}}{F_{2p}}\right)^{\text{fit}}$$



BONuS12 Preliminary Results — F_2^n/F_2^p



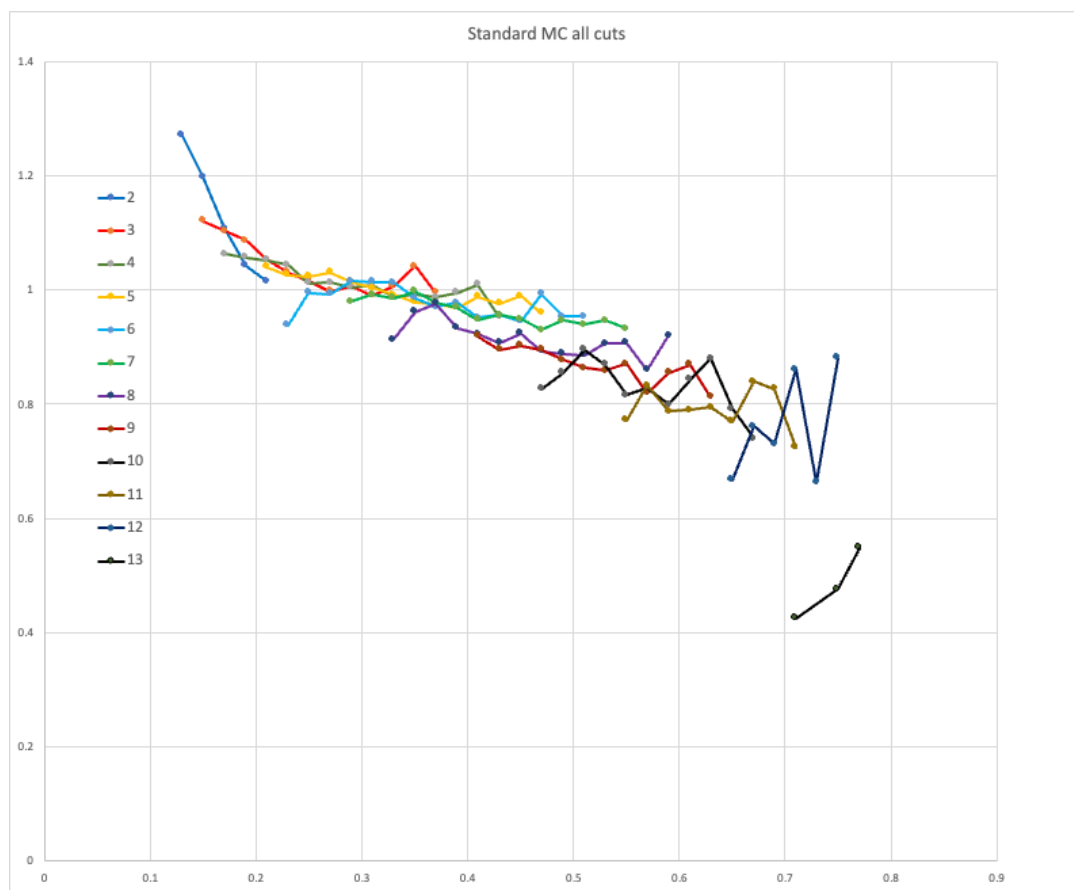
Summary

- BONuS12 extends the measurement of the spectator-tagged neutron structure functions over a larger kinematic range, with much improved statistics.
- Particle identification and all selection cuts have been tuned and are now finalized. All known backgrounds have been thoroughly studied and corrected for, with many checks showing minimal systematic uncertainty.
- MC Simulation has been tuned to reproduce the detector response of both CLAS12 and RTPC over the entire phase space. Generally, very good agreement between data and MC.
- Analysis based on Summer 2020 data is complete and preliminary results for F_{2n}/F_{2d} and F_{2n}/F_{2p} are available. A more detailed assessment of all systematic uncertainties is underway. Disagreement between extracted F_{2n}/F_{2d} and expected trend is still unexplained — some more studies are underway.

Backup

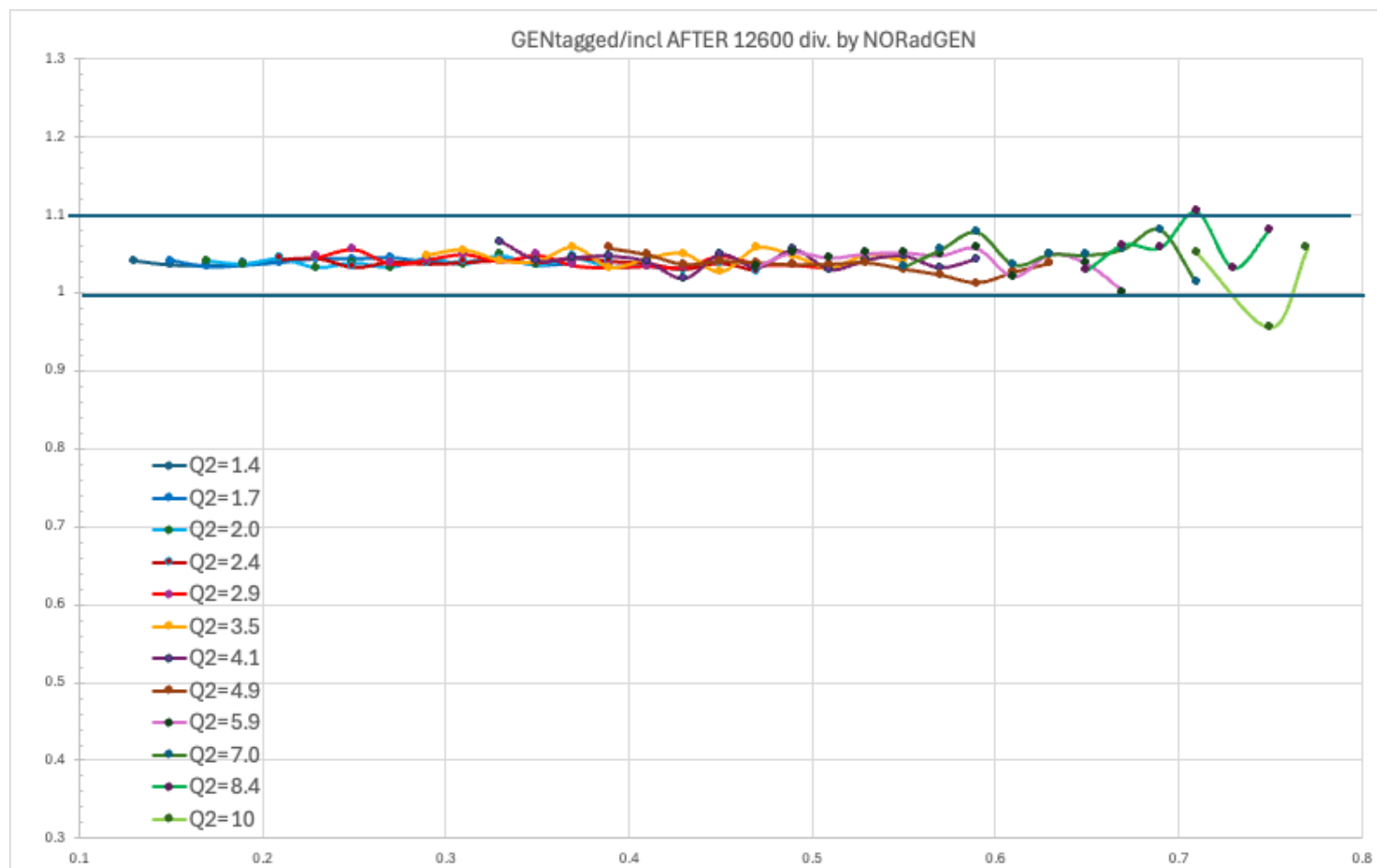
Backup — Check between MC and Experimental data

- Individual ratio of the MC and data
- These two plots show where the discrepancy comes from: The MC (left) shows the fall-off for tagged/inclusive with x expected from the $F2n/F2d$ ratio, consistent over all Q^2 bins. The DATA (right) show how each consecutive Q^2 bin starts too high relative to the previous one ($F2n/F2d$ depends only very mildly on Q^2).



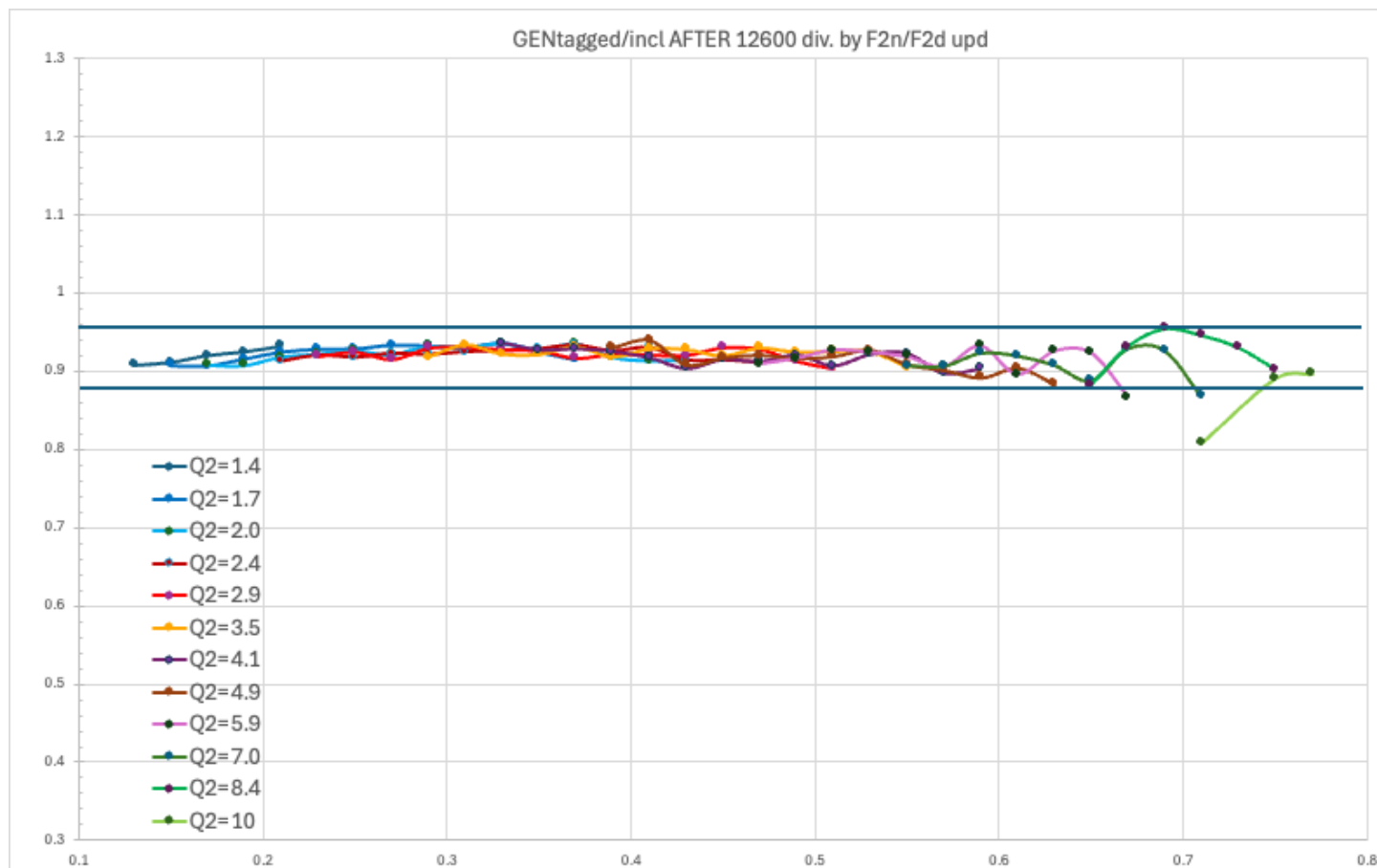
Backup — Check ratio from rad.&non-rad. events

- Perform the same analysis to standard MC (with internal radiation) and MC with radiation turn-off and calculate the ratio between them
- This plot shows that the internal (and pre-scattering) radiative effects encoded in the generator largely cancel in the ratio tagged/inclusive, except for an overall factor of 1.05 increase of the radiated tagged/incl vs. not radiated tagged/incl



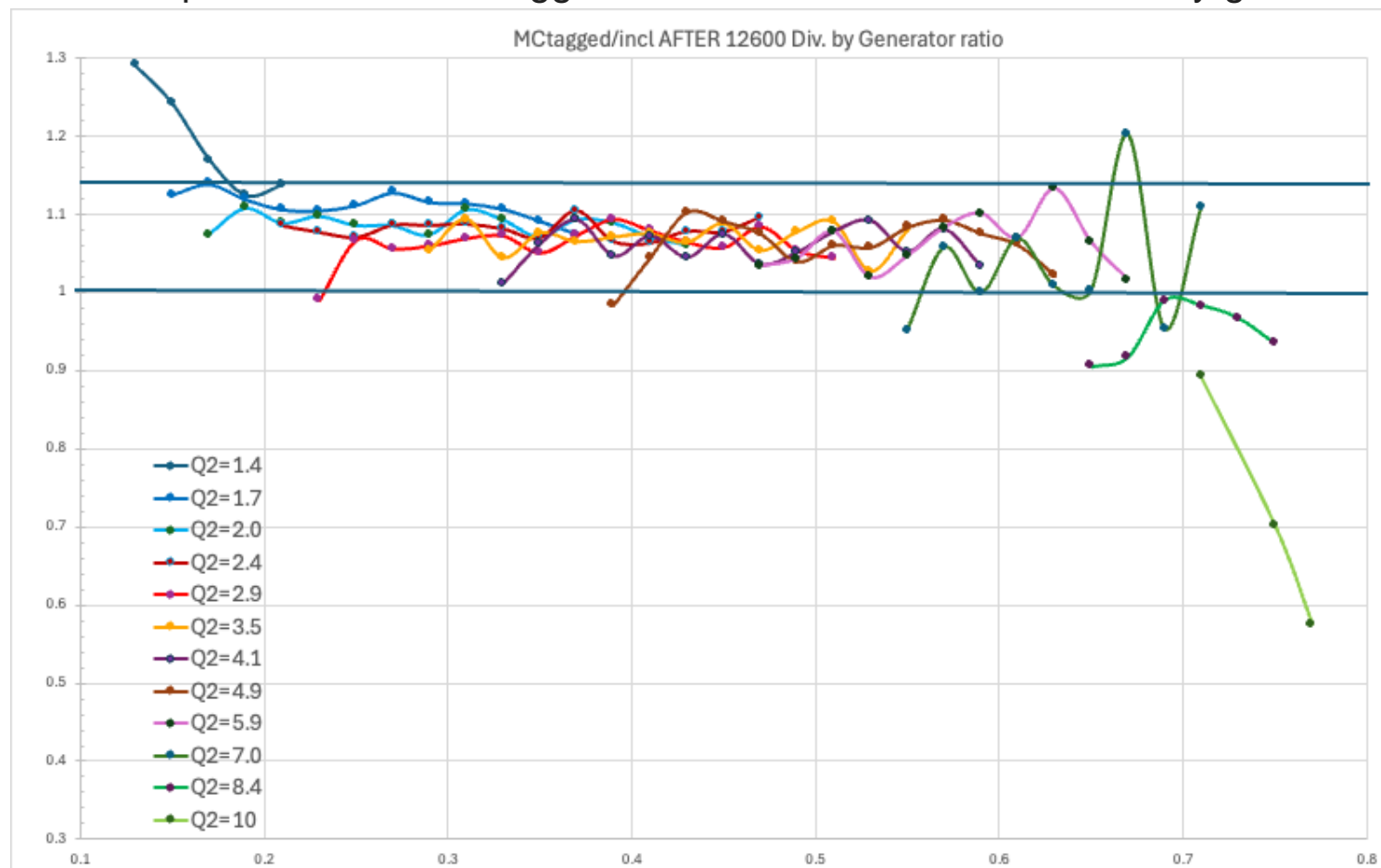
Backup — Check the MC ratio with theoretical model

- The ratio of the generated events divided by the theoretical model
- This plot shows that the output from the generator for the ratio tagged/incl counts follows VERY closely the input model for F2n/F2d
- the overall normalization is arbitrary.



Backup — Check the acceptance effect from MC

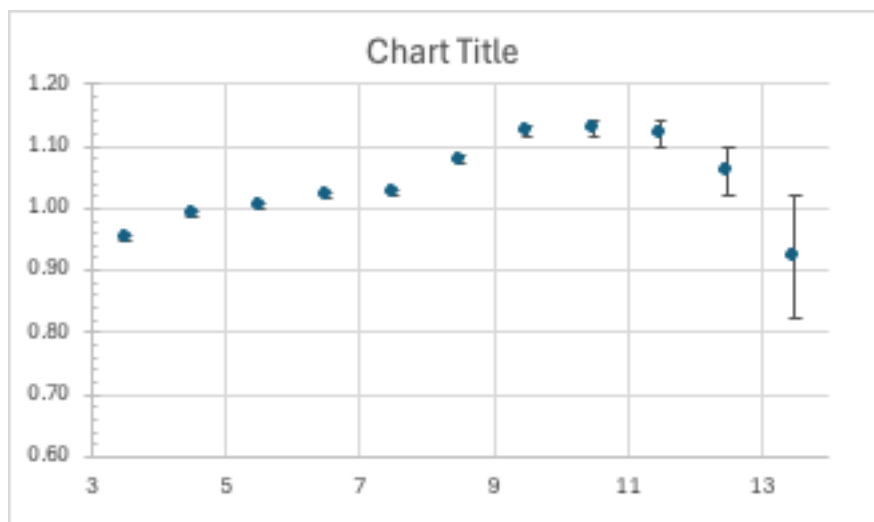
- The ratio of the reconstructed events divided by the generated events
→ nearly constant, with the exception of the lowest Q2 bin (is discard) and the highest 1-2 Q2 bins which are only partially filled.
- This plot shows that the acceptance effects for tagged vs. inclusive also cancel to a very good extent



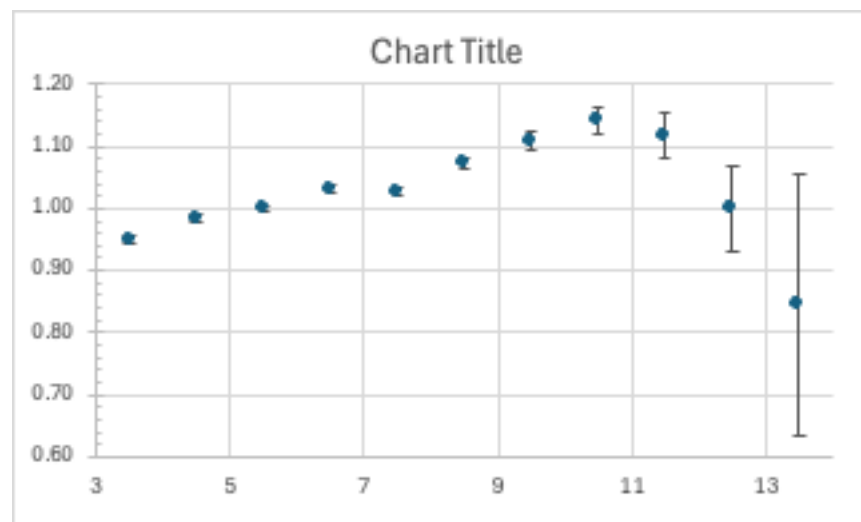
Backup — Check the Background subtraction to data

- Extensive tests for the background evaluations on data
 - Model the 4He background → No, the ratios behave roughly the same for D and 4He runs)
 - Pair-symmetric background → No change on the ratio if we ignore it). It is also not due to our
 - Accidental background subtraction → Negative results with many tests.
 - Potential miscalculation of x^* or W^* → No significant effect when removing our cut on backwards-going protons, we are averaging out the effect of kinematic corrections

without the cut on $\cos(\theta_{pq})$



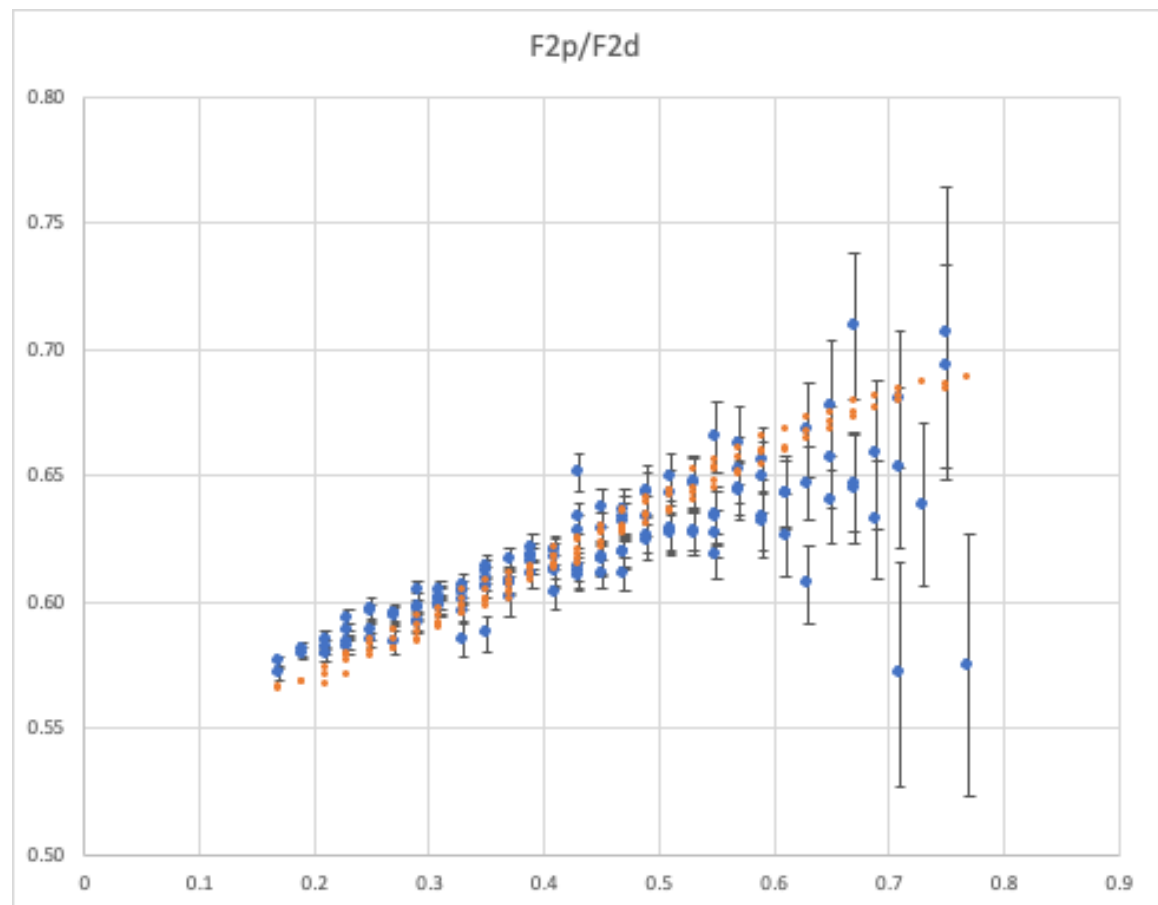
with the cut on $\cos(\theta_{pq})$



(plotted the ratio vs. Q2 bin)

Backup — Check the H/D ratio

- Extract F_{2p}/F_{2d} from our data and MC using the same approach (superratio data/MC for inclusive H/D):
- The plot shows the result for all our bins vs. x , while the orange points are Eric Christy's up-to-date fit for F_{2p}/F_{2d} . Not a PERFECT agreement, but shows that the method is valid in principle.



BONuS12 Corr. V: Culling Partially Filled Bins

Ratio Tagged/Inclusive from MC show smooth dependence on x and Q^2 except for a few bins at the edge of the acceptance (very sensitive to precise simulation of physical boundaries), as well as bins only partially filled due to W^* / W cut \Rightarrow These bins have been removed from final results...

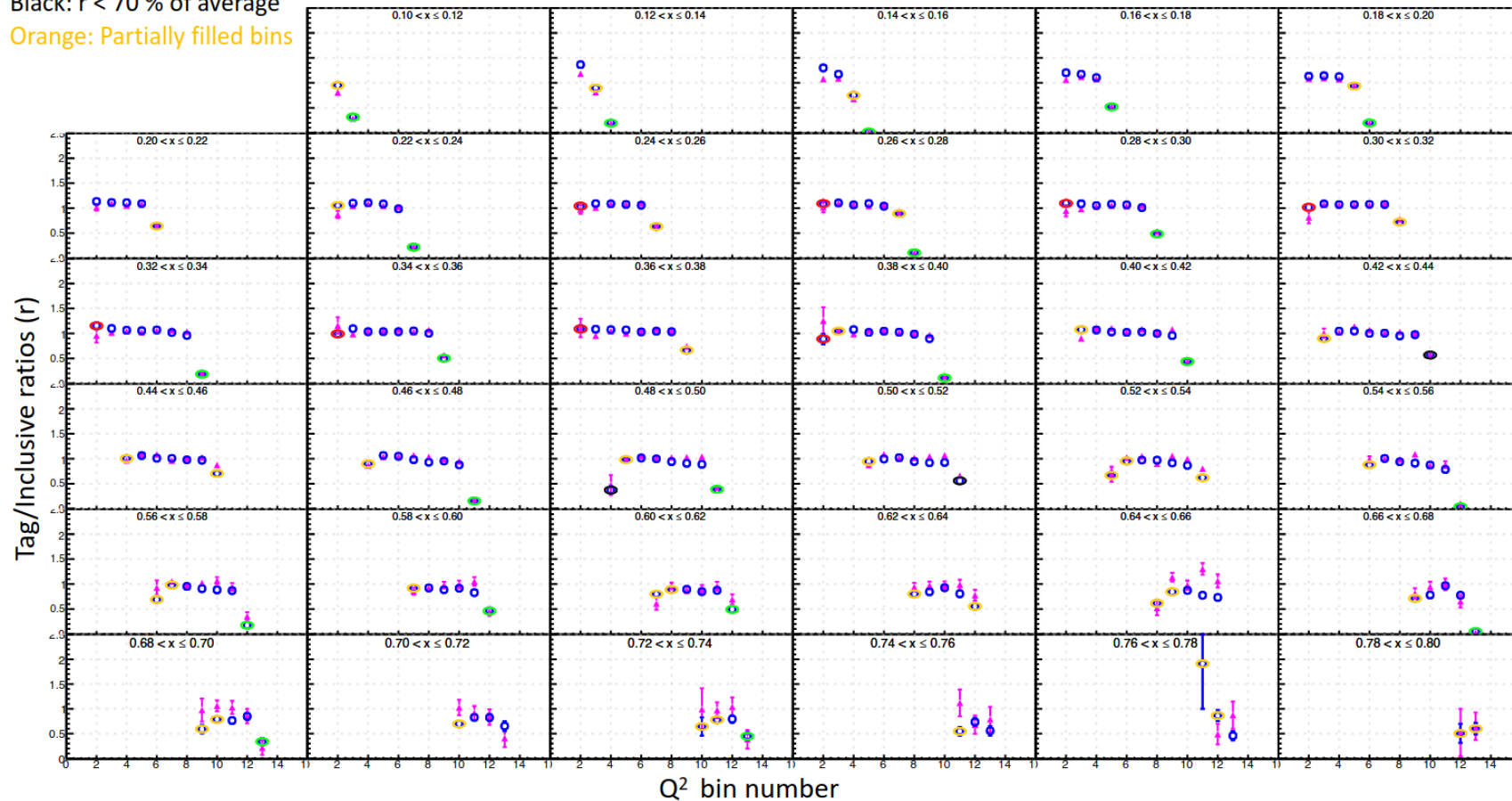
Green: $r < 0.5$

Red: Statistical uncertainty > 2.5 times the average

Black: $r < 70\%$ of average

Orange: Partially filled bins

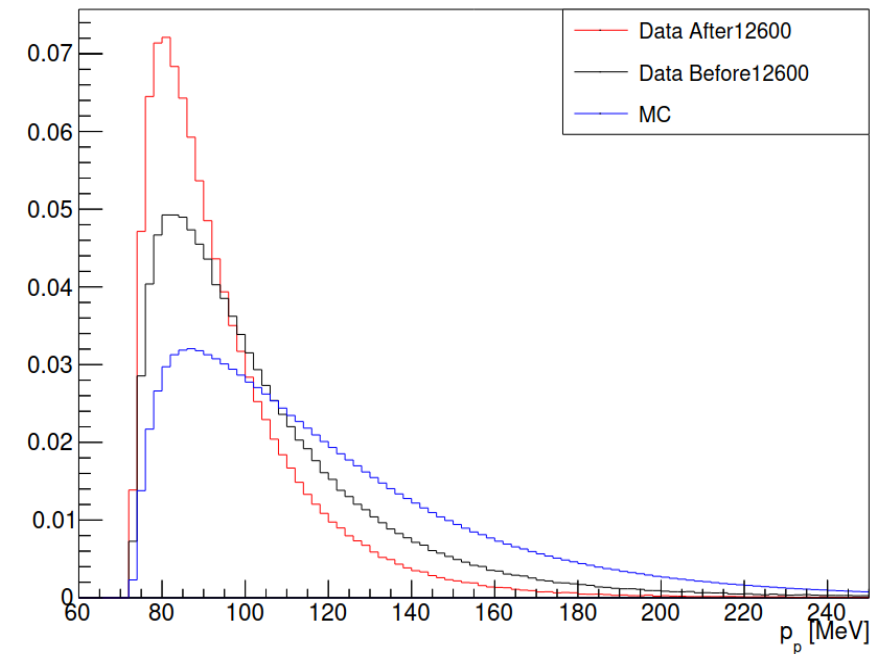
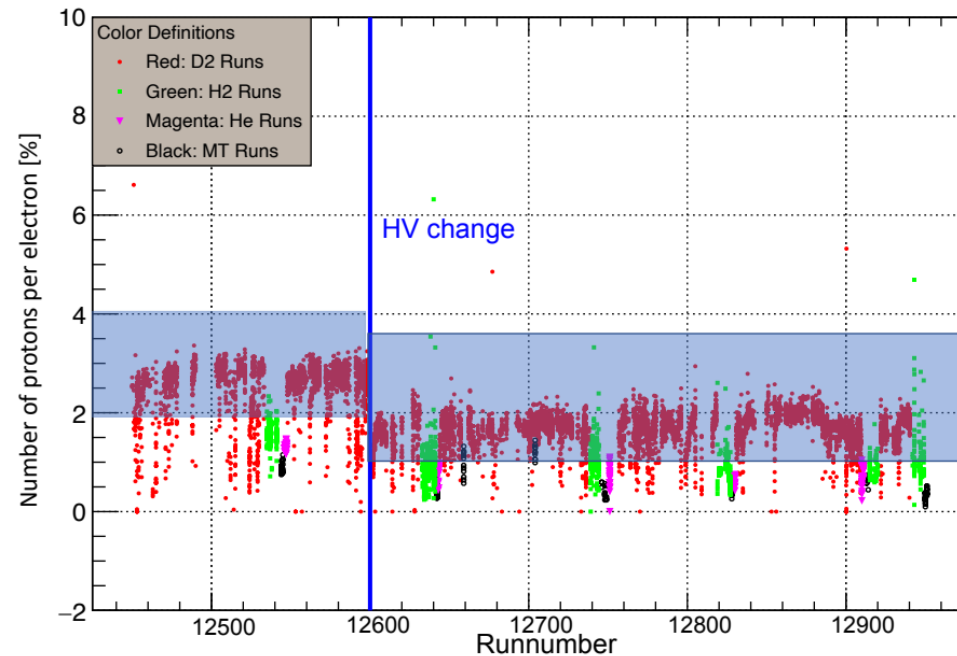
Magenta: Data : Blue: MC



GEMs HV reduced of in RTPC after run 12600

In the middle of RGF-Summer2020 run, the RTPC GEMs HV were reduced from 385V to 375V.

This change has made the RTPC blinder to the high-energy recoils and more sensitive to the low-energy recoils of interest.



Extract the physics

$$D(e, e')X \quad R_{\text{inc}}(x, Q^2) = \frac{Y_{\text{inc}}^{\text{Data}}}{Y_{\text{inc}}^{\text{MC}}} \propto \frac{F_{2d}^{\text{true}}(x, Q^2)}{F_{2d}^{\text{Gen}}(x, Q^2)}$$

$$D(e, e'p_s)X \quad R_{\text{tag}}(x', Q^2) = \frac{Y_{\text{tag}}^{\text{Data}}}{Y_{\text{tag}}^{\text{MC}}} \propto \frac{F_{2n}^{\text{true}}(x', Q^2)}{F_{2n}^{\text{Gen}}(x', Q^2)}$$

$$SR = \frac{R_{\text{tag}}(x', Q^2)}{R_{\text{inc}}(x, Q^2)} = \frac{(Y_{\text{tag}}^{\text{Data}} / Y_{\text{tag}}^{\text{MC}})}{(Y_{\text{inc}}^{\text{Data}} / Y_{\text{inc}}^{\text{MC}})} = \frac{(Y_{\text{tag}}^{\text{Data}} / Y_{\text{inc}}^{\text{Data}})}{(Y_{\text{tag}}^{\text{MC}} / Y_{\text{inc}}^{\text{MC}})} = \text{Constant} \cdot \frac{\left(\frac{F_{2n}}{F_{2d}}\right)^{\text{true}}}{\left(\frac{F_{2n}}{F_{2d}}\right)^{\text{Gen}}}$$

$$\left(\frac{F_{2n}}{F_{2d}}\right)^{\text{true}} = \text{Constant} \cdot \left(\frac{F_{2n}}{F_{2d}}\right)^{\text{Gen}} * \frac{(Y_{\text{tag}}^{\text{Data}} / Y_{\text{inc}}^{\text{Data}})}{(Y_{\text{tag}}^{\text{MC}} / Y_{\text{inc}}^{\text{MC}})}$$

$$\left(\frac{F_{2n}}{F_{2d}}\right)^{\text{true}} = \left(\frac{F_{2n}}{F_{2d}}\right)^{\text{true}} * \left(\frac{F_{2d}}{F_{2p}}\right)^{\text{fit}} \quad \& \quad \frac{d}{u} \gg \frac{4F_{2n}/F_{2p} - 1}{4 - F_{2n}/F_{2p}}$$

$$Y_{\text{inc}}^{\text{Data}}(x, Q^2) \sim \mathcal{L} \left[A(x, Q^2) \cdot \eta(x, Q^2) \cdot \Delta\sigma_{\text{inc}}(x, Q^2) \right],$$

$$Y_{\text{inc}}^{\text{MC}}(x, Q^2) \sim \mathcal{L}_{\text{LUND}} \left[A(x, Q^2) \cdot \eta(x, Q^2) \cdot \Delta\sigma_{\text{inc}}^{\text{Sim}}(x, Q^2) \right],$$

of counts, with the assumption that $\Delta\sigma \propto F_2^d$

Acceptance and efficiencies

Event selection — VIP(Very Important Proton) cuts

- **Final State Interaction**

- Struck neutron interacts with the spectator p
- Proton momentum is enhanced
- FSIs are small at low p_s and large θ_{pq}

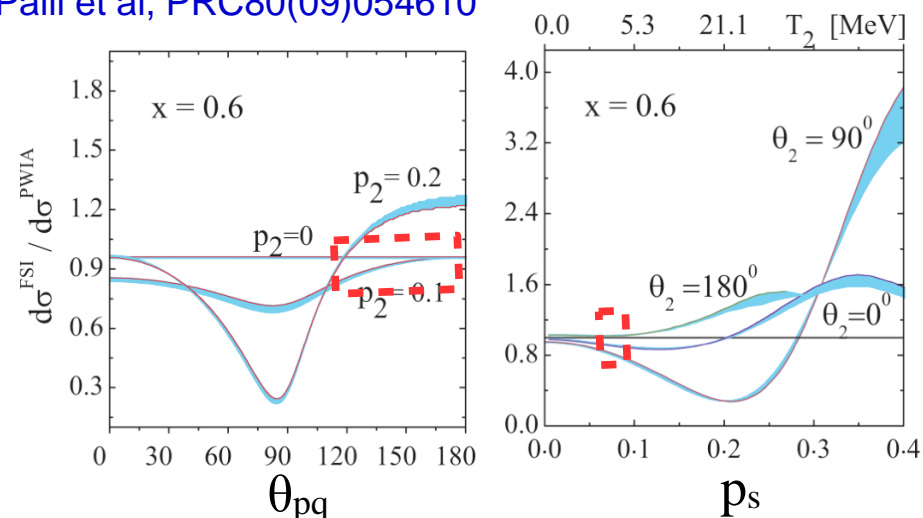
- **Target Fragmentation**

- $e n \rightarrow e p X$ (where $n \rightarrow \pi^- p$) and $e p \rightarrow e p X$ (where $p \rightarrow \pi^0 p$).
- TF enhances the proton yield only at forward angles ($\cos \theta_{pq} > 0.6$)

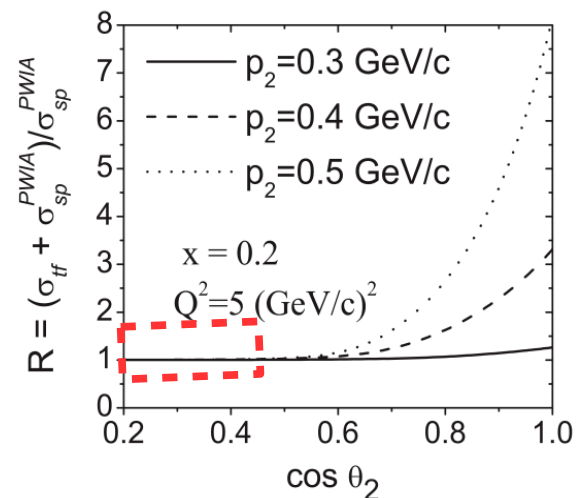
- **Off-Shell Corrections**

- Due to the neutron is bound in the deuteron
- Less than 2% in our region

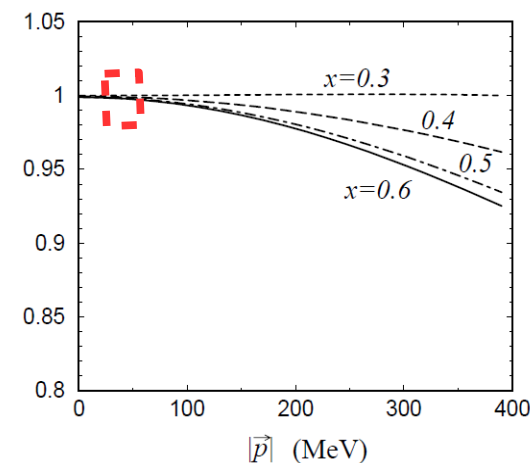
Palli et al, PRC80(09)054610



Palli et al, PRC80(09)054610

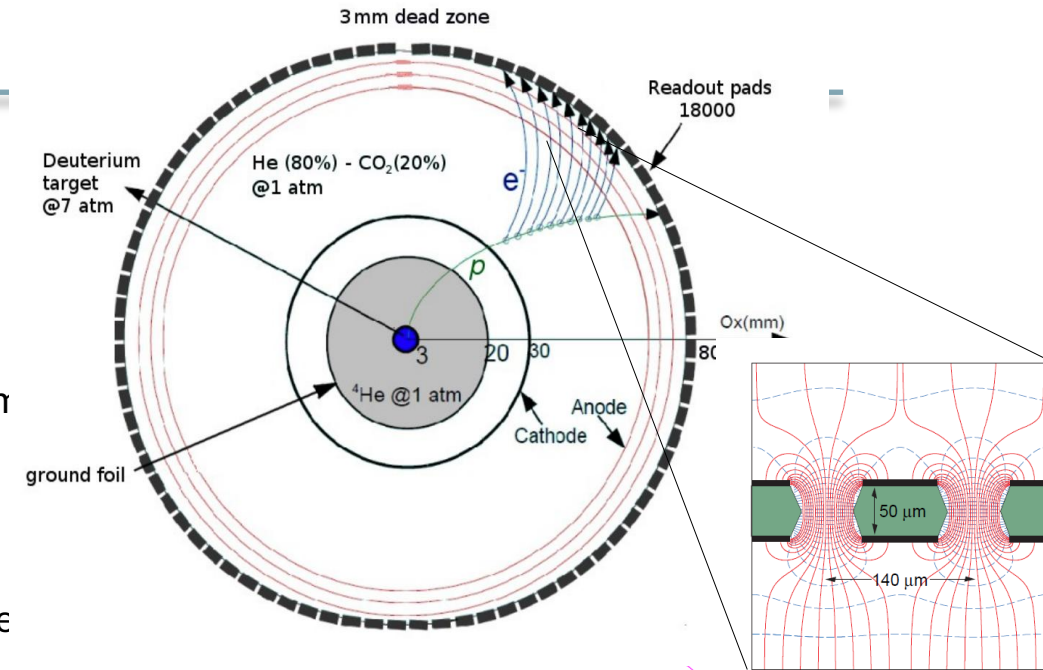


Melnitchoul et al, PRL B335,11(1994)



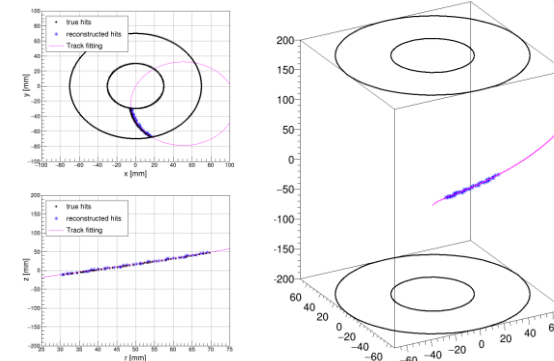
RTPC (Radial Time Projection Chamber)

- detector geometry and gas
 - 40 cm long , and 16 cm in diameter
 - He/CO₂ (80/20) gas mixture
 - Drift region (3 cm to 7 cm) and Transfer region (from 7 cm to 7.9 cm, 3mm space by the GEMs)
 - GEM (Gas Electron Multiplier): amplified the ionization electron.
 - 4π angle coverage, 17,280 readout pads at outermost cylindrical surface



- Work principle

- Charged particle ionizes the gas atoms
 - Under EM field, released electrons follow their **drift paths** at a certain **drift speed**
 - Amplifications via the 3 GEM layers
 - Readout board → MVT FEU electronics → Signal height vs. Time bin



- Construct 3D trajectory in the detector.

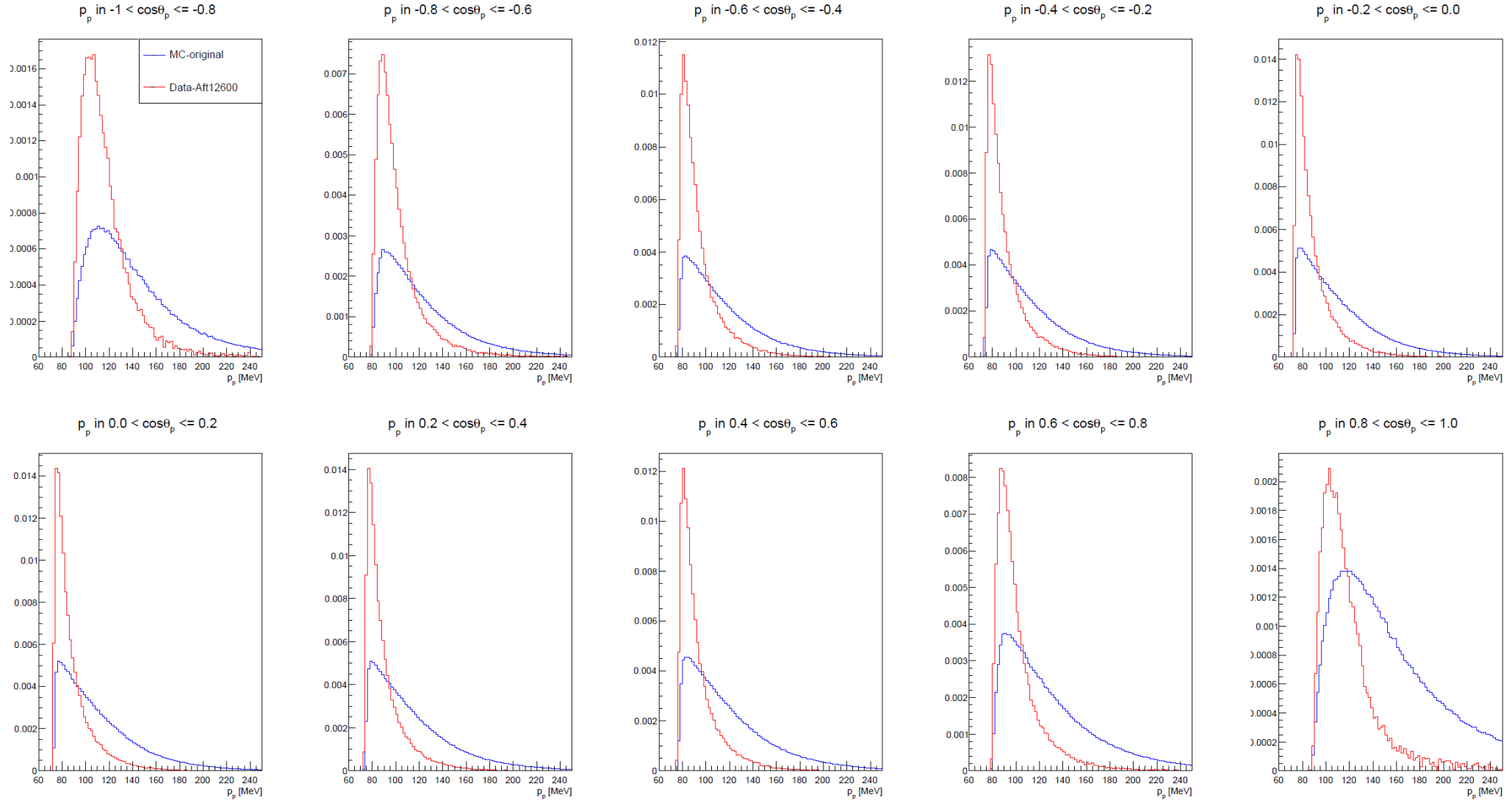
$$\text{Signal height} \xrightarrow{\text{Pads' gains (Gi)}} \left\langle \frac{dE}{dX} \right\rangle = \frac{\sum_i \frac{ADC_i}{Gi}}{vtl}$$

Time and Pad location → 3D reconstruction of track → vector p/q, vz, vertex time

} PID

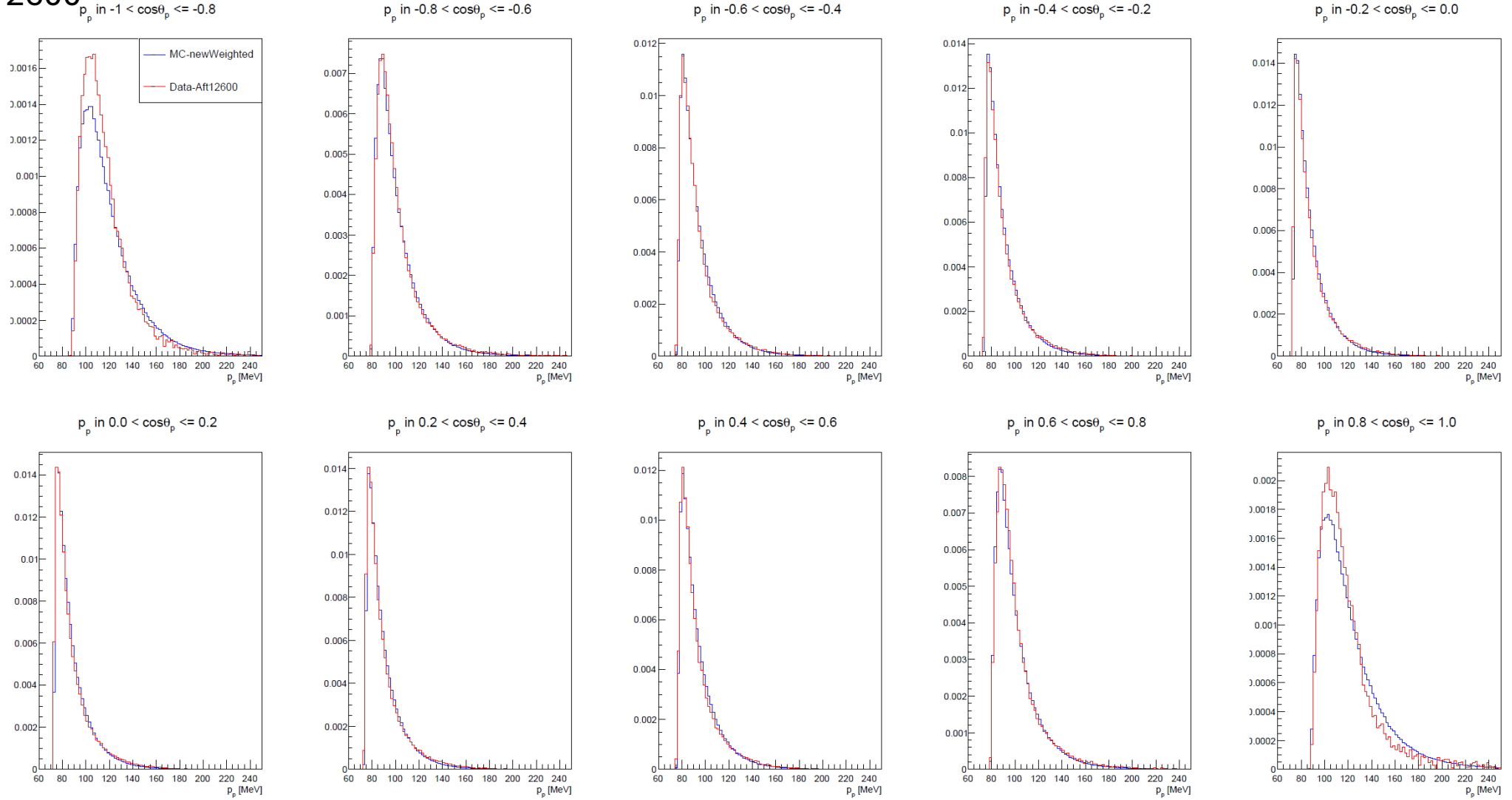
Backup

After 12600



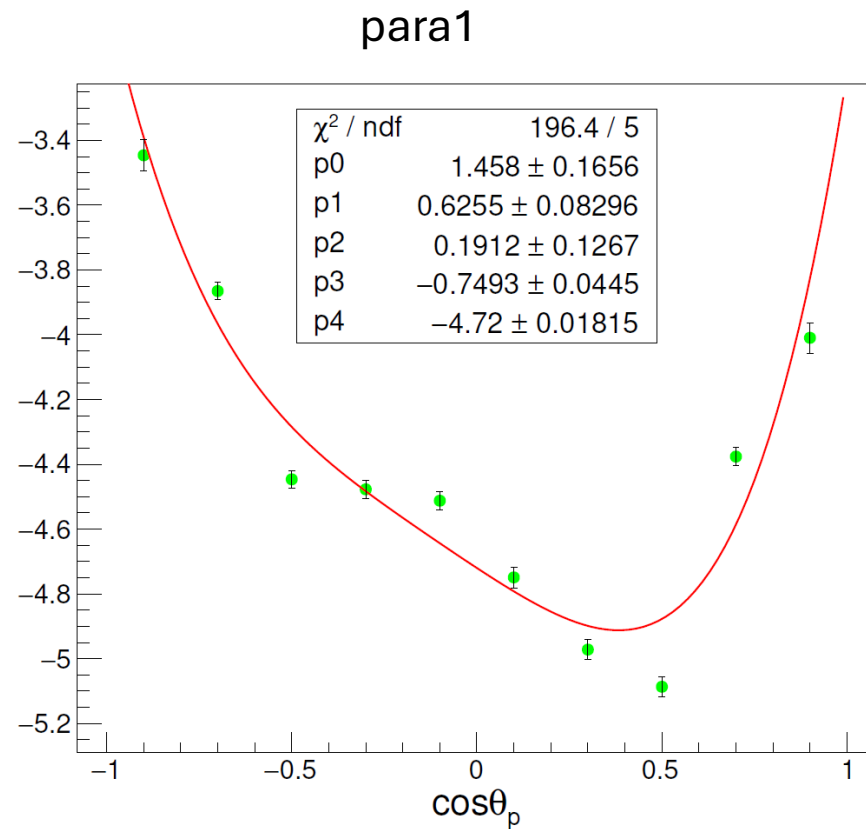
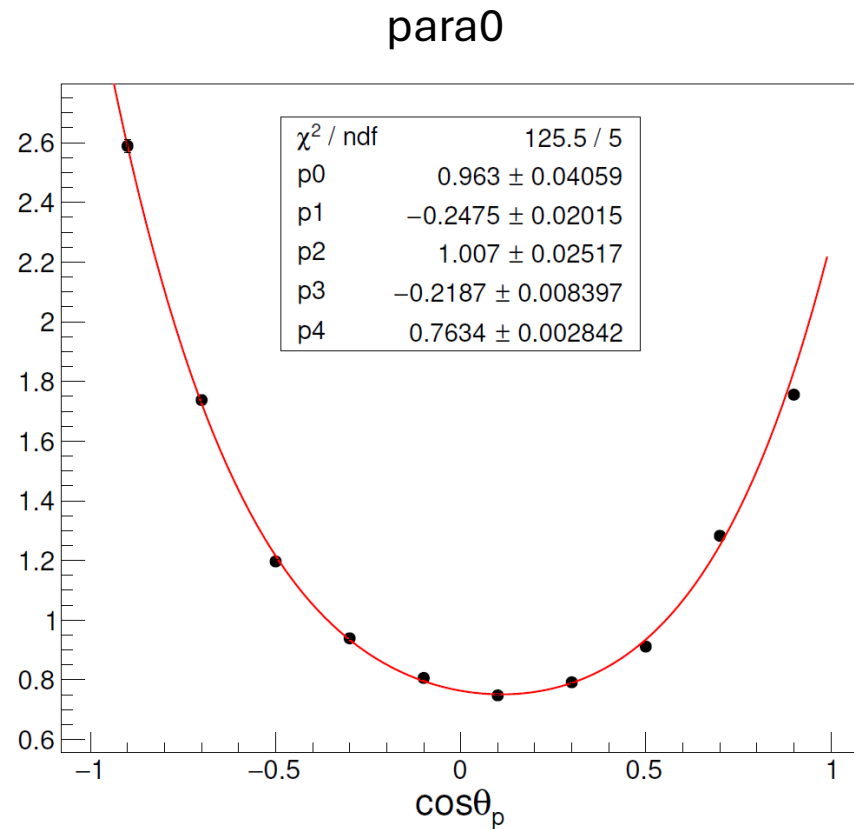
Backup

After 12600



Momentum weighting on MC

After 12600



`weightFactor = para0*pow(pcorr/100., para1); [pcorr in unit MeV]`

With, $\text{para0} = p_0 \cos^4(\theta) + p_1 \cos^3(\theta) + p_2 \cos^2(\theta) + p_3 \cos(\theta) + p_4$ (left)
 $\text{para1} = p_0 \cos^4(\theta) + p_1 \cos^3(\theta) + p_2 \cos^2(\theta) + p_3 \cos(\theta) + p_4$ (right)