

$i\epsilon^+$?

Some New Ideas: Low-Energy Positron
Physics at the ANU and a Proposal for a New
Positron Polarimeter

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and S.J.Buckman*

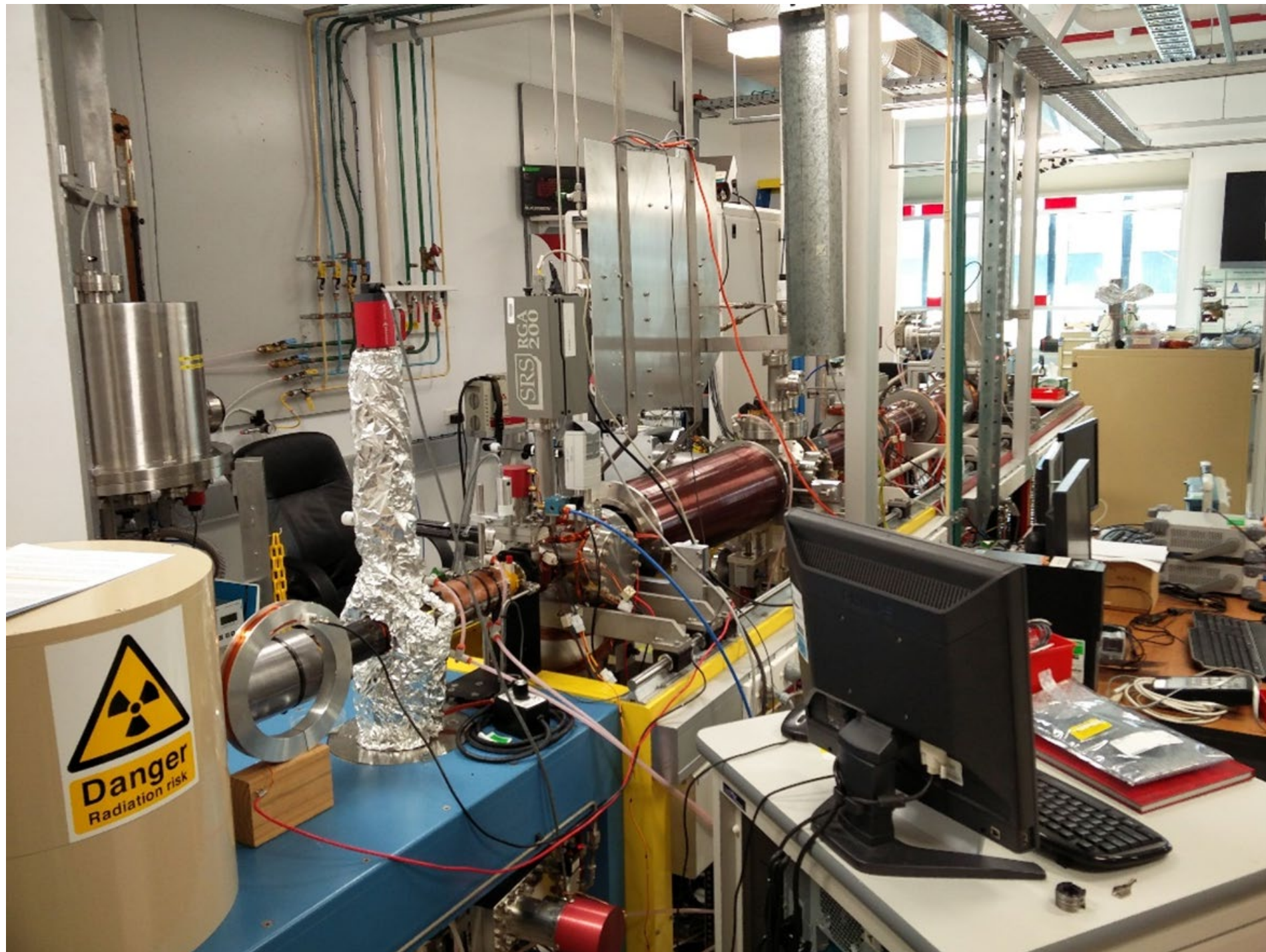
Australian National University



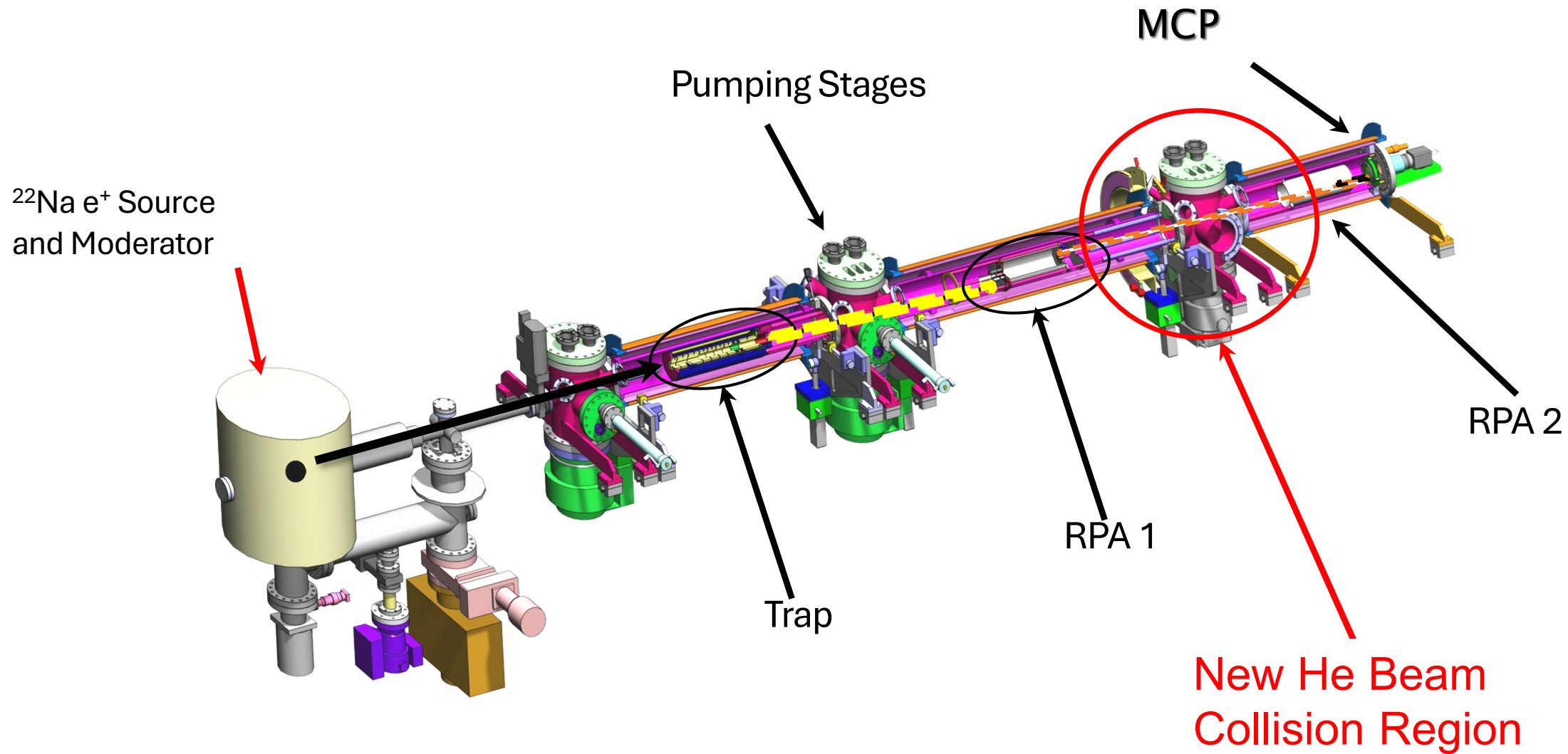
Australian
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University



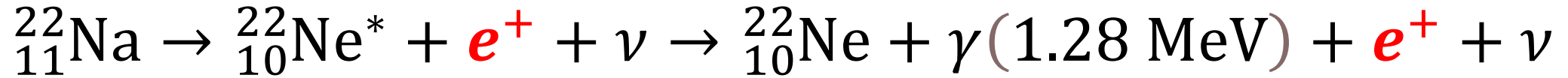
ANU
Positron
Beamline
2



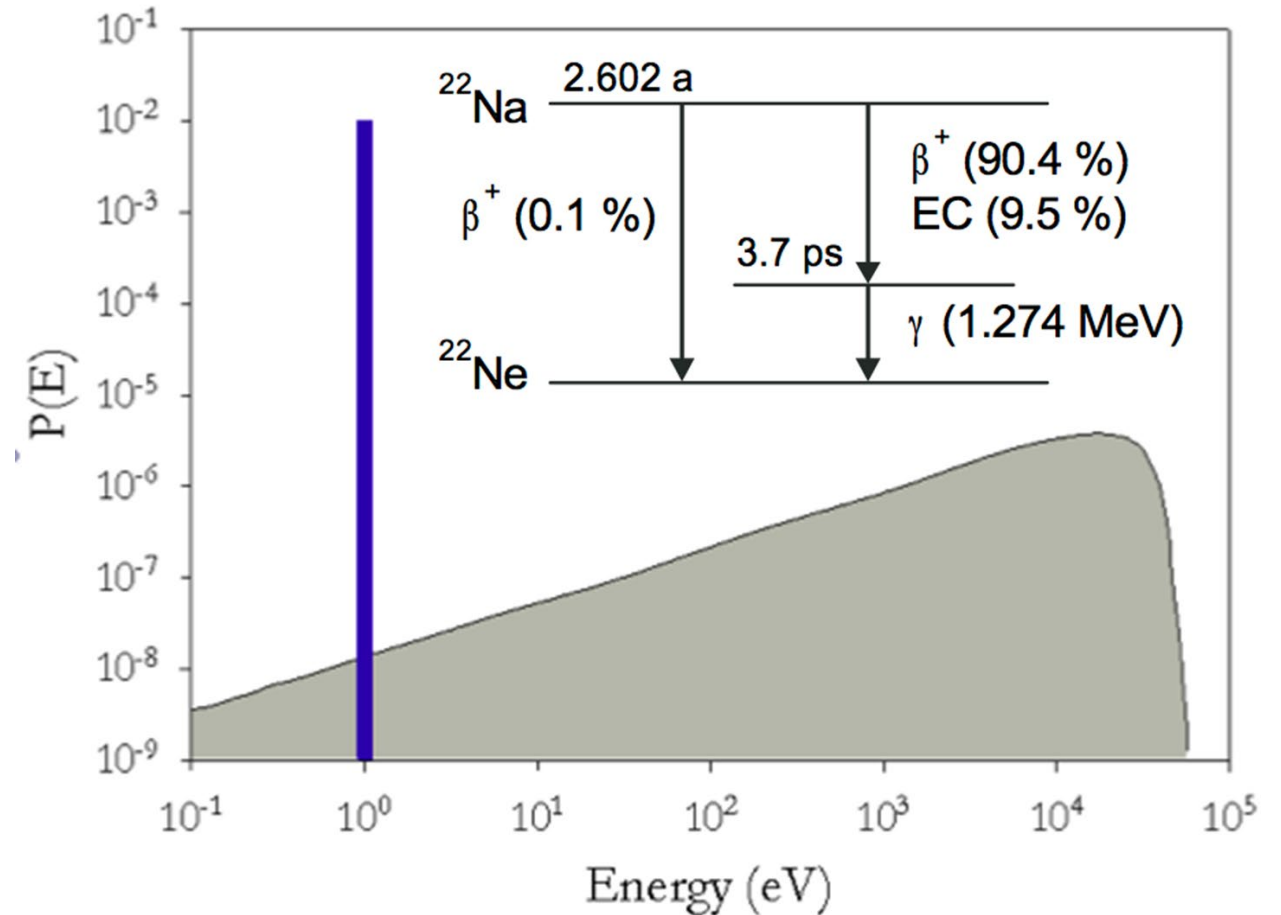
ANU Positron Beamline



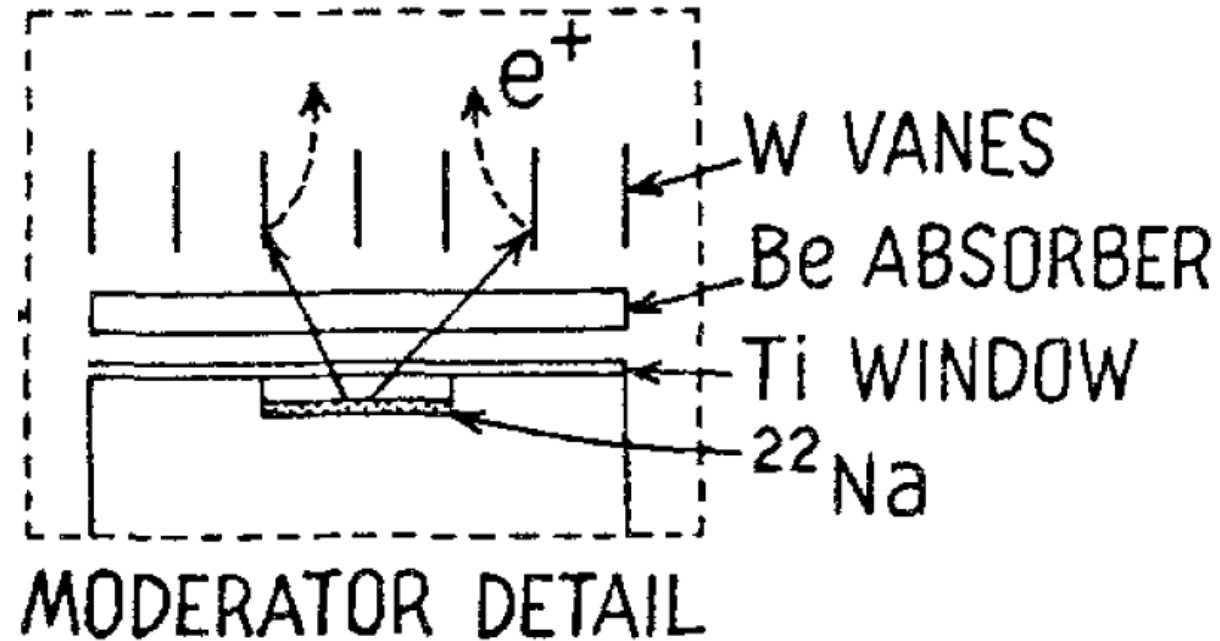
Nuclear β Decay – Weak Interaction



Helicity: $H \approx \frac{v}{c} = 70\%$
for 200 keV



Moderators



D.W.Gidley , A.Rich, J. Van House, and P.W.
Zitzewitz, Nature **297**, 639 (1982)

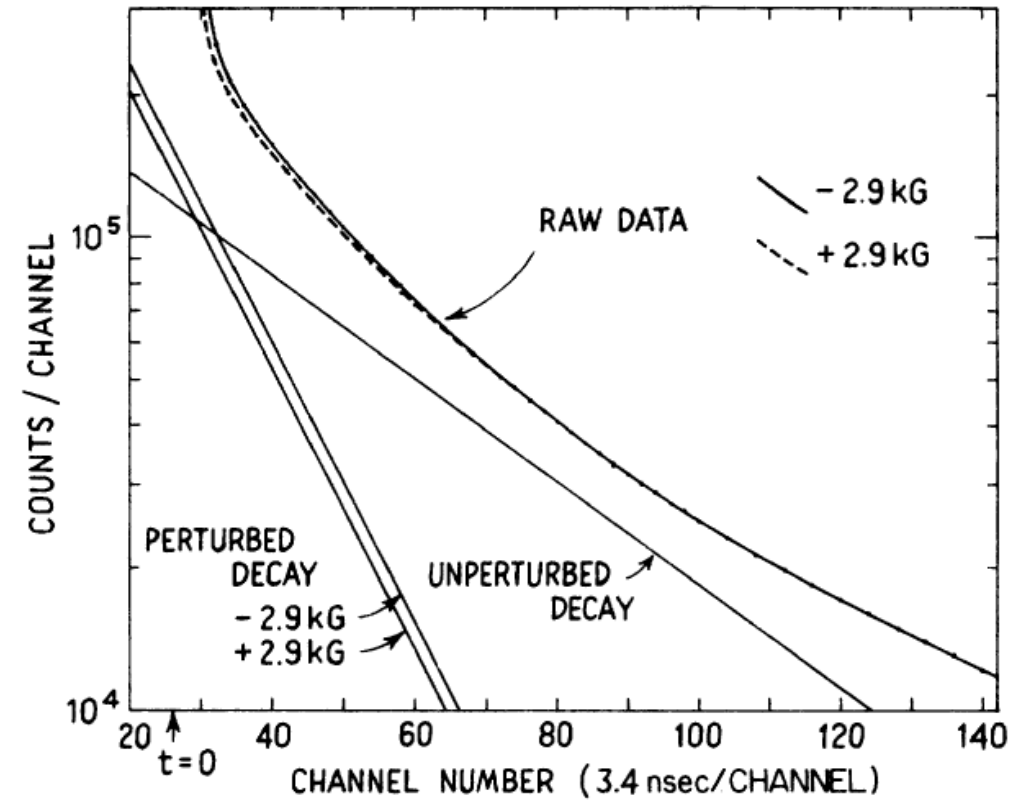
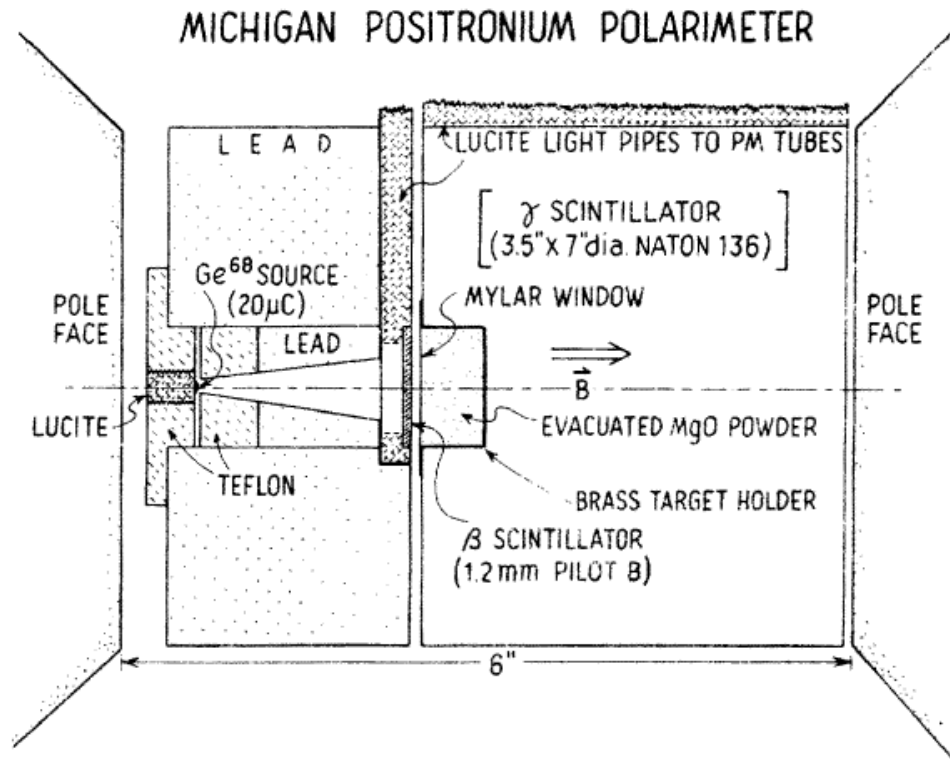
i Need to know $P_{e^+} = \frac{N^\uparrow - N^\downarrow}{N^\uparrow + N^\downarrow} !$

Possible Schemes for Low-Energy Positron Polarimetry

- ~~Mott Scattering~~ (wrong charge sign)
- ~~Bhabha scattering~~ (OK – above several MeV)
- The standard: methods involving high magnetic fields to quench positronium with subsequent decay gamma rays being detected with either time, energy, or angle cuts
 - non-fatal drawbacks: magnetic field flipping is not ideal
 - high magnetic field can pose spatial and stray field constraints

Example:

$$A = \frac{R^+ - R^-}{R^+ + R^-} \propto \vec{P} \cdot \vec{B}$$

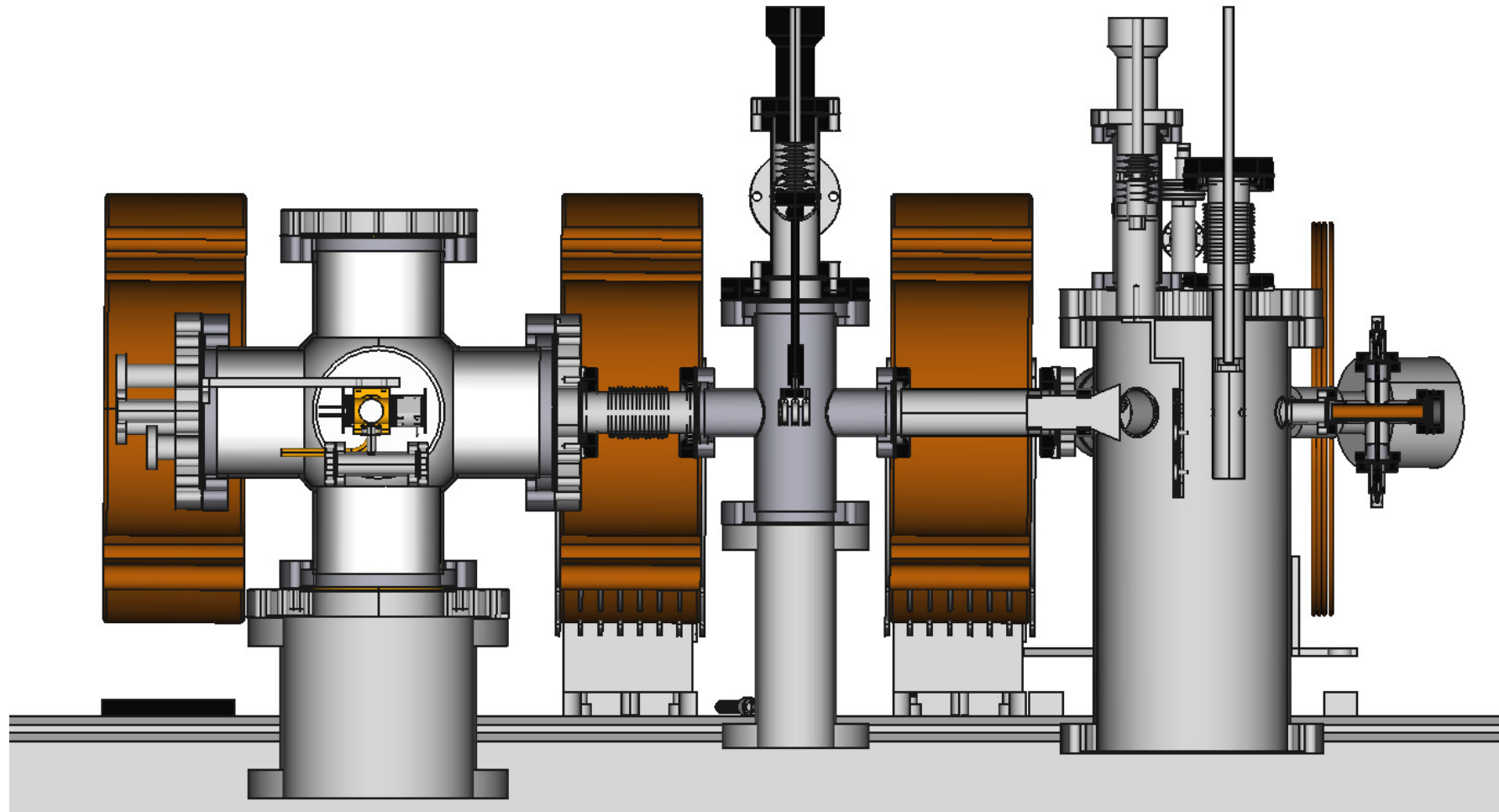


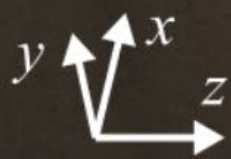
A Relevant Technology – the Rb Spin Filter

SOURCE

DIFFERENTIAL PUMPING &
TRANSPORT OPTICS

TARGET &
POLARIMETER

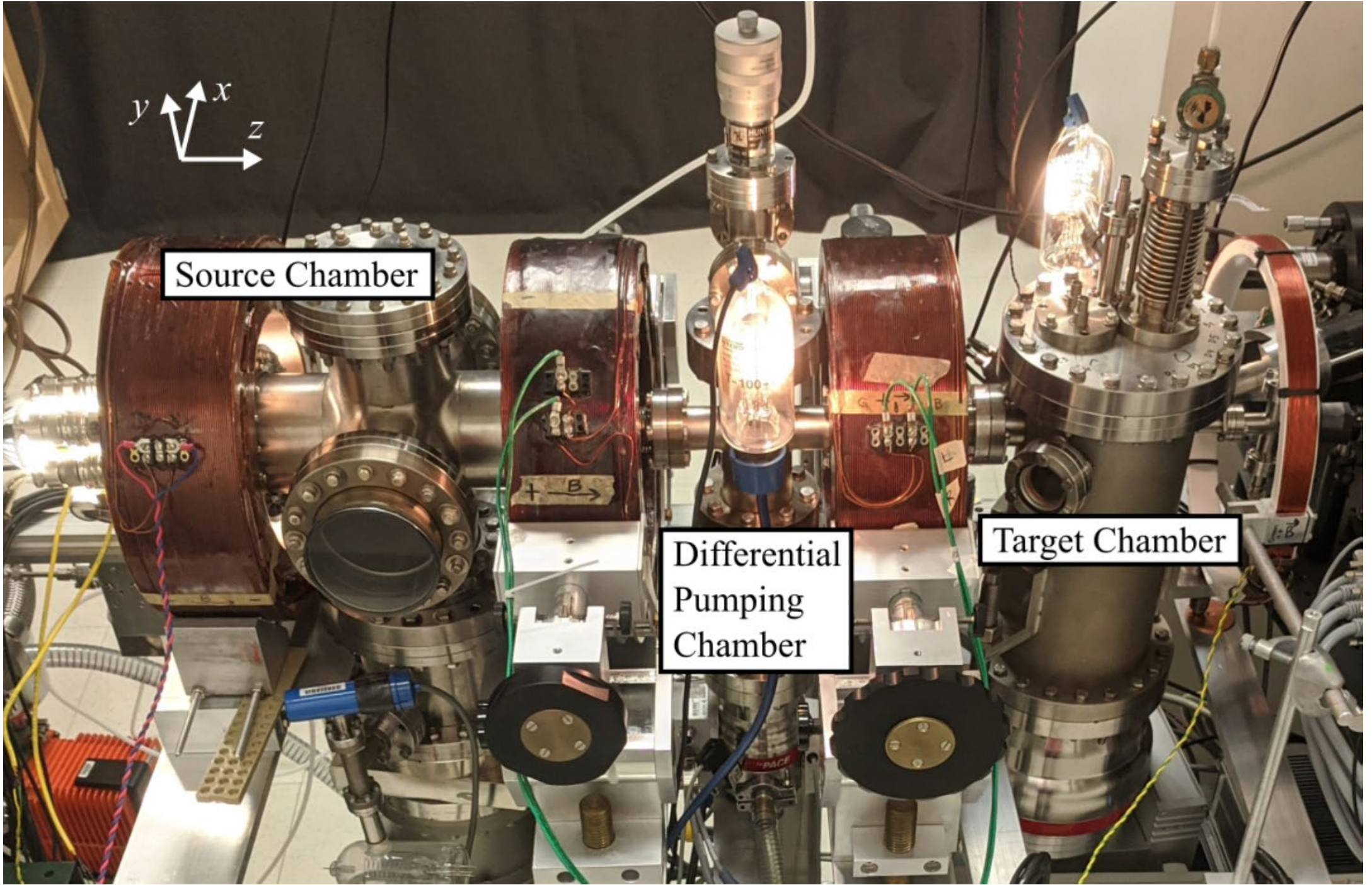




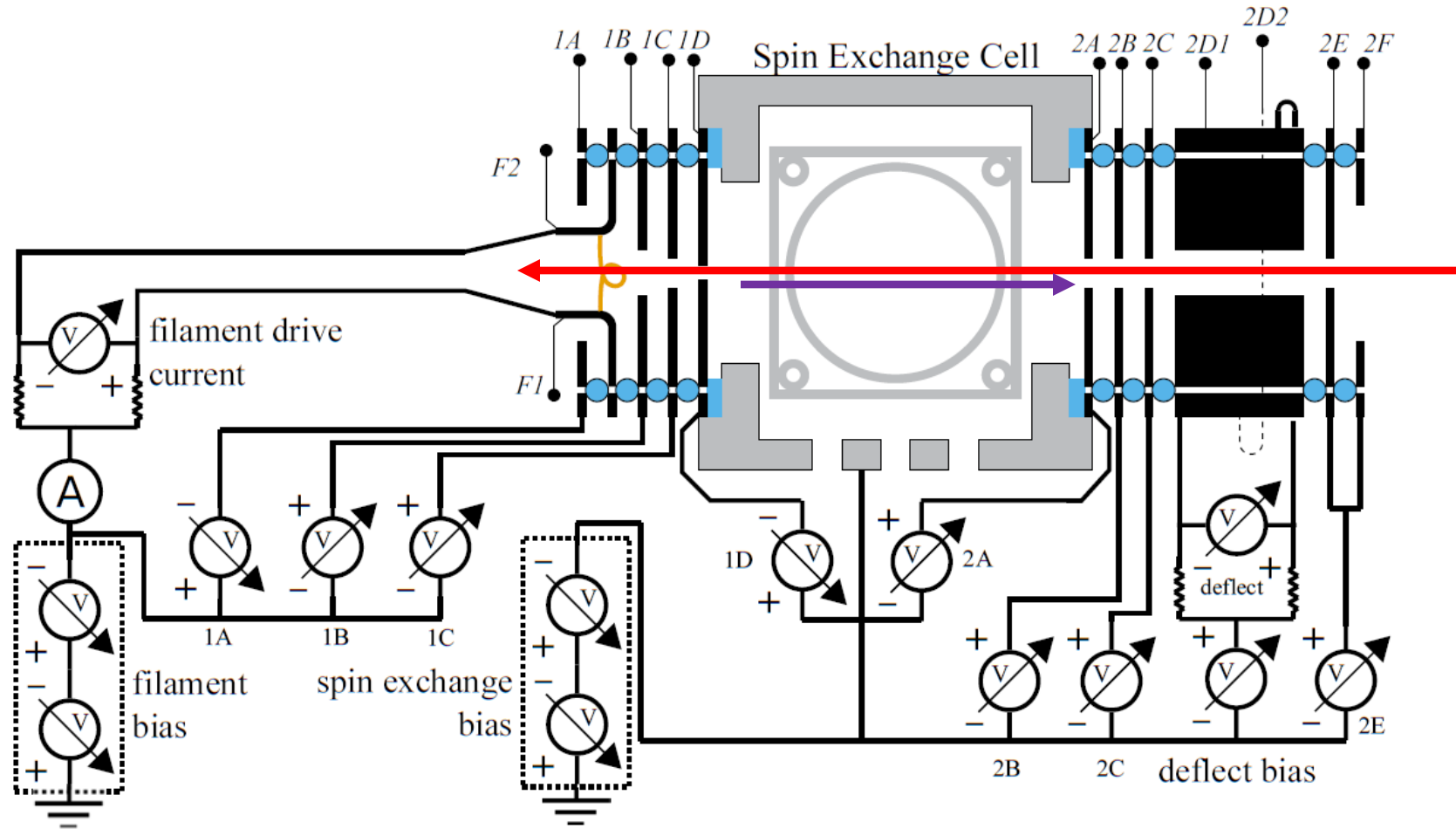
Source Chamber

Differential Pumping Chamber

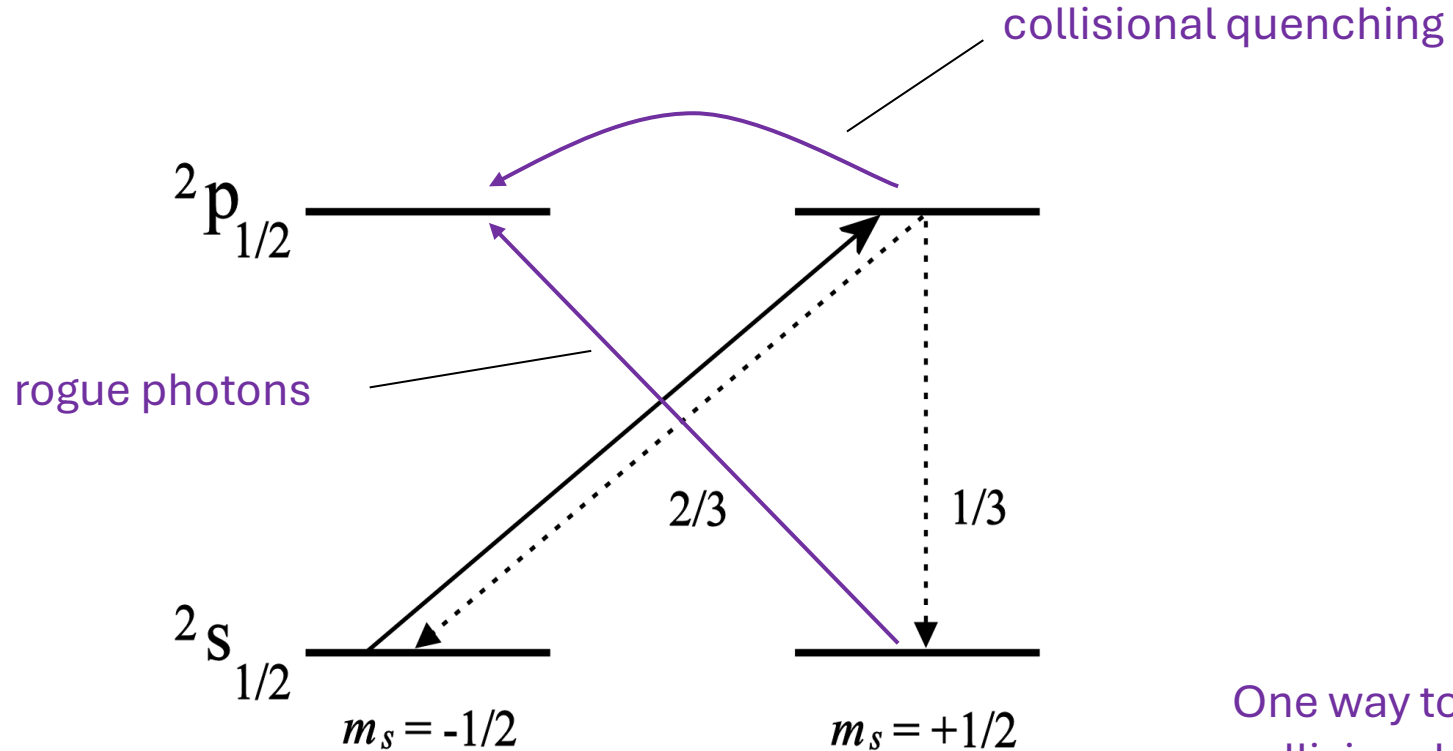
Target Chamber



Optically-Pumped Rb Spin-Transfer Cell

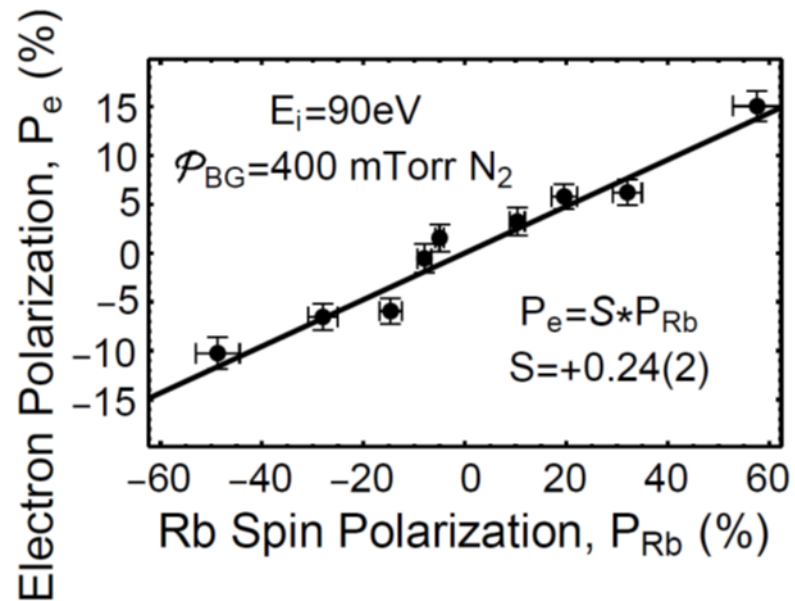


Rb Optical Pumping and Radiation Trapping

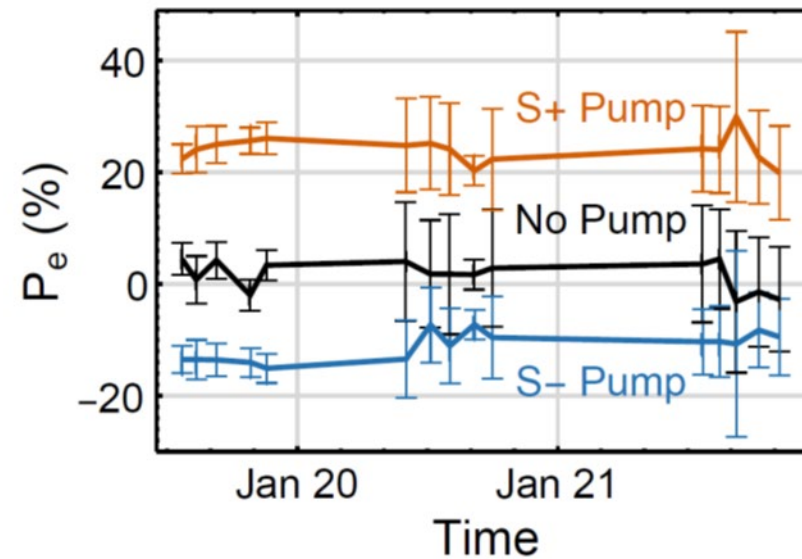


One way to solve both the collisional and radiation trapping problem is to use low densities of Rb vapor.

Performance Parameters of the Rb Spin Filter



Spin transfer efficiency

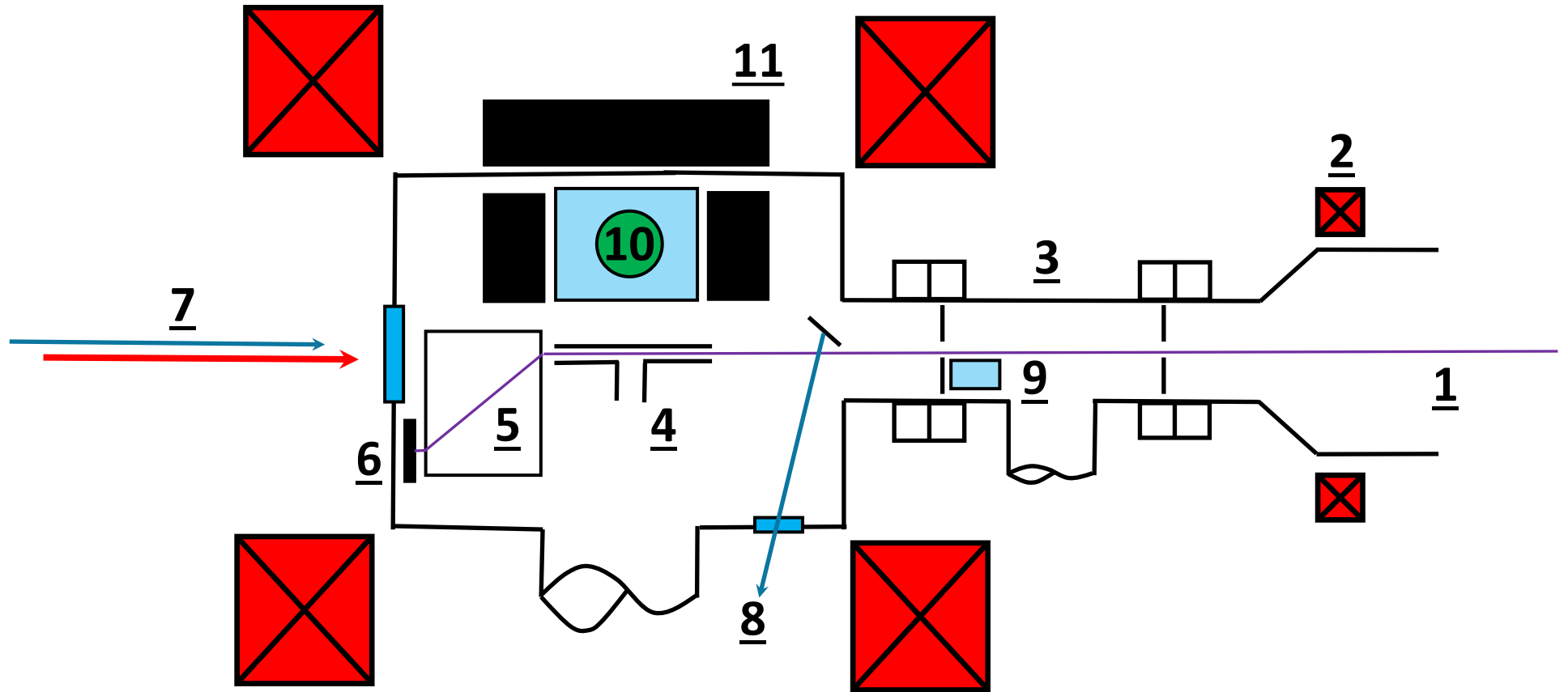


Spin stability over time

- $P_e = 23\%$
- $I_{out} > 4 \mu\text{A}$
- Polarization Figure of Merit – 200 nA
- $\Delta E \approx 1.5 \text{ eV}$
- Quasi-turn-key operation
- K.J.Ahrendsen, K.W.Trantham, D.Tupa, and T.J Gay, *Rev Sci Instrum* **94**, 083308 (2023)

Optically-Pumped Rb Positron Polarimeter

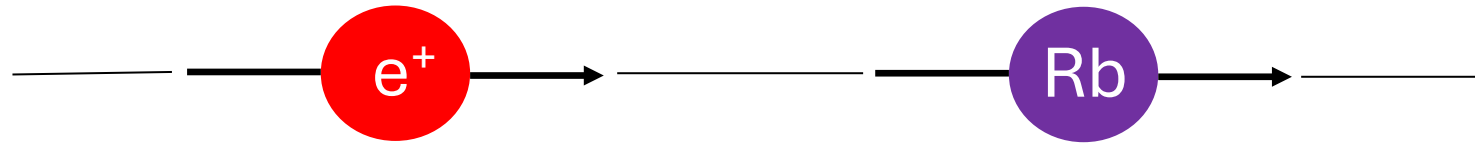
1. Surko trap terminus and incident positron beam
2. Guiding solenoidal magnets
3. Differential pumping
4. Rb target
5. Trochoidal beam deflector
6. Beam dump
7. Optical pumping and probe lasers
8. Reflected probe beam to measure P_{Rb}
9. NaI scintillators (light blue)
10. Photomultiplier Tube
11. Pb blocks



Polarimetry I

$$P_{e^+} = \frac{N^+ - N^-}{N^+ + N^-},$$

$$P_T = \frac{N_T^+ - N_T^-}{N_T^+ + N_T^-},$$



TARGET SPIN	BEAM SPIN	CONFIG. PROB.	REL. o-Ps PROD.	REL. p-Ps PROD.
+	+	$\frac{1}{4}(1 + P_{e^+} + P_T + P_{e^+}P_T)$	1	0
+	-	$\frac{1}{4}(1 - P_{e^+} + P_T - P_{e^+}P_T)$	$\frac{1}{2}$	$\frac{1}{2}$
-	+	$\frac{1}{4}(1 + P_{e^+} - P_T - P_{e^+}P_T)$	$\frac{1}{2}$	$\frac{1}{2}$
-	-	$\frac{1}{4}(1 - P_{e^+} - P_T + P_{e^+}P_T)$	1	0

Polarimetry II

$$N_{para} = \frac{1}{4} N \sigma n l [3 - P_e + P_T]$$

wait 100ns →

$$N_{ortho} = \frac{1}{4} N \sigma n l [3 + P_e + P_T]$$

$$A_{flip} = \frac{R^+ - R^-}{R^+ + R^-} = \frac{1}{3} P_e + P_T$$

- N = number of incident positrons
- σ = Ps formation cross section
- n = target density
- l = target length

Optically-Pumped Rb Positron Polarimeter - Details

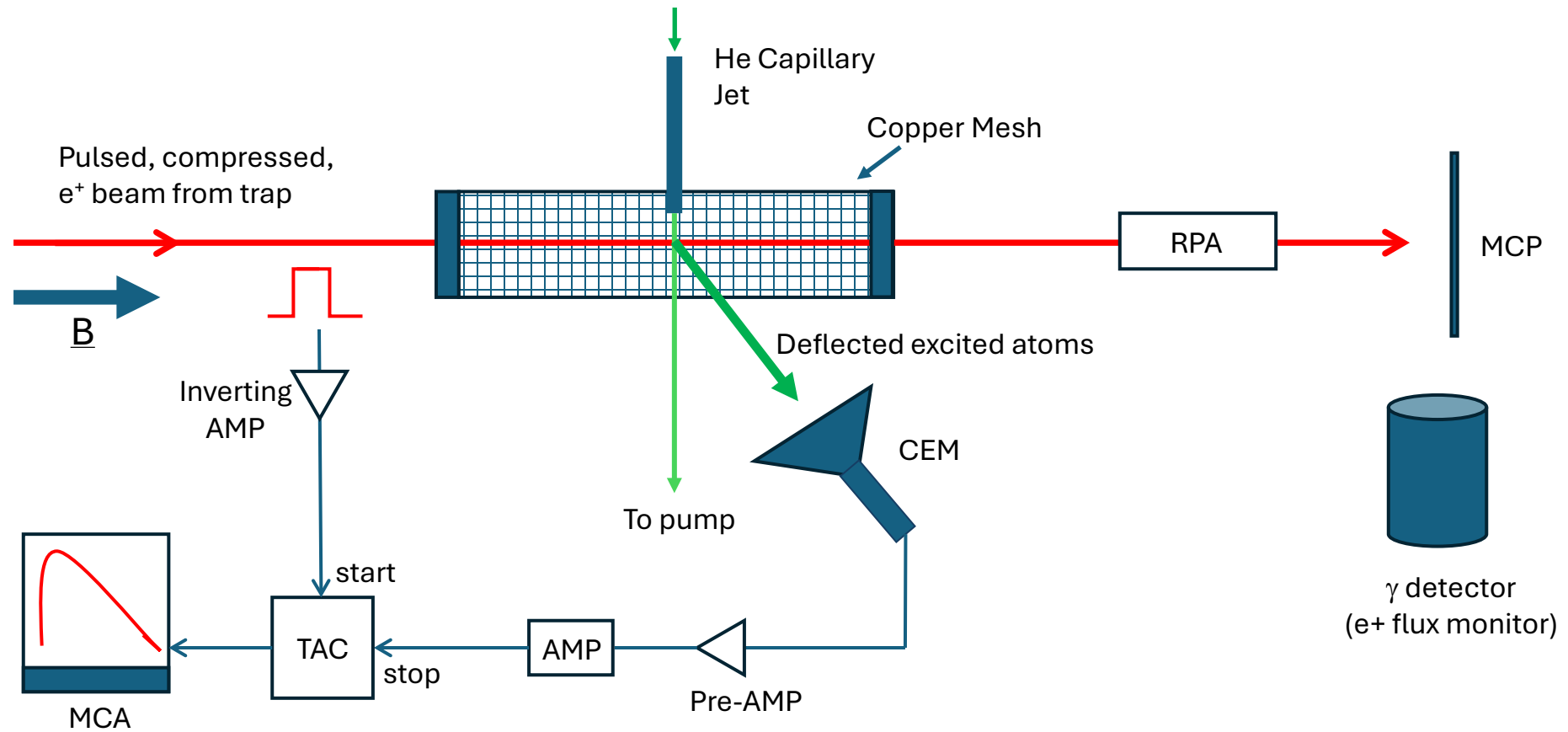
- Narrow heat pipe target to suppress optical trapping of depolarization
- <1W circularly-polarized pump laser at the Rb D1 line (795 nm)
- μW probe laser at Rb D2 line (780 nm) to measure P_{Rb} using optical rotation
- Target spin is flipped not by the weak (10^{-2} T) constant magnetic field but by the pump laser helicity
- $P_{\text{Rb}} \approx 100\%$
- $n_{\text{Rb}} \sim 10^{11} \text{ cm}^{-3}$
- $l = 3\text{cm}$
- Positron energy = 2.4 eV; precludes capture to excited states of Ps
- $\sigma(\text{positronium formation}) = 25 \times 10^{-16} \text{ cm}^2$;
- $\sigma(\text{Rb } 5s - 5p \text{ excitation}) = 20 \times 10^{-16} \text{ cm}^2$;
- $\Sigma(\text{quasi-elastic scattering}) = 100 \times 10^{-16} \text{ cm}^2$
- Scattered e^+ won't annihilate at target walls because of their cyclotron motion in the magnetic field

Polarimetric Efficiency

- e^+ pulses from our Surko trap: 2×10^6 positrons at 1 Hz
- o-Ps production rates of 1.1×10^3 per second (i need more flux!)
- After a delay of 100 ns, half of these are gone; the rest are counted as signal
- Solid angle: 10% of gammas will hit the scintillators
- ~100% detection rate (NaI - 38 visible photons/keV and a 10% PMT quantum efficiency)
- → 55 Hz useable count rate

For a $P(e^+) = 22\%$, a measurement precision of 2% can be achieved in < 6 minutes

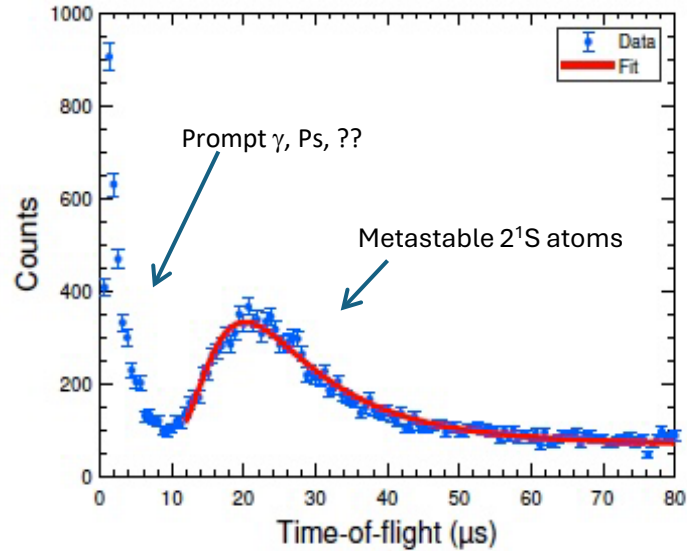
Science with Positrons (both polarized and unpolarized)



Positron Excitation of Metastable Helium



Positron ToF Spectrum

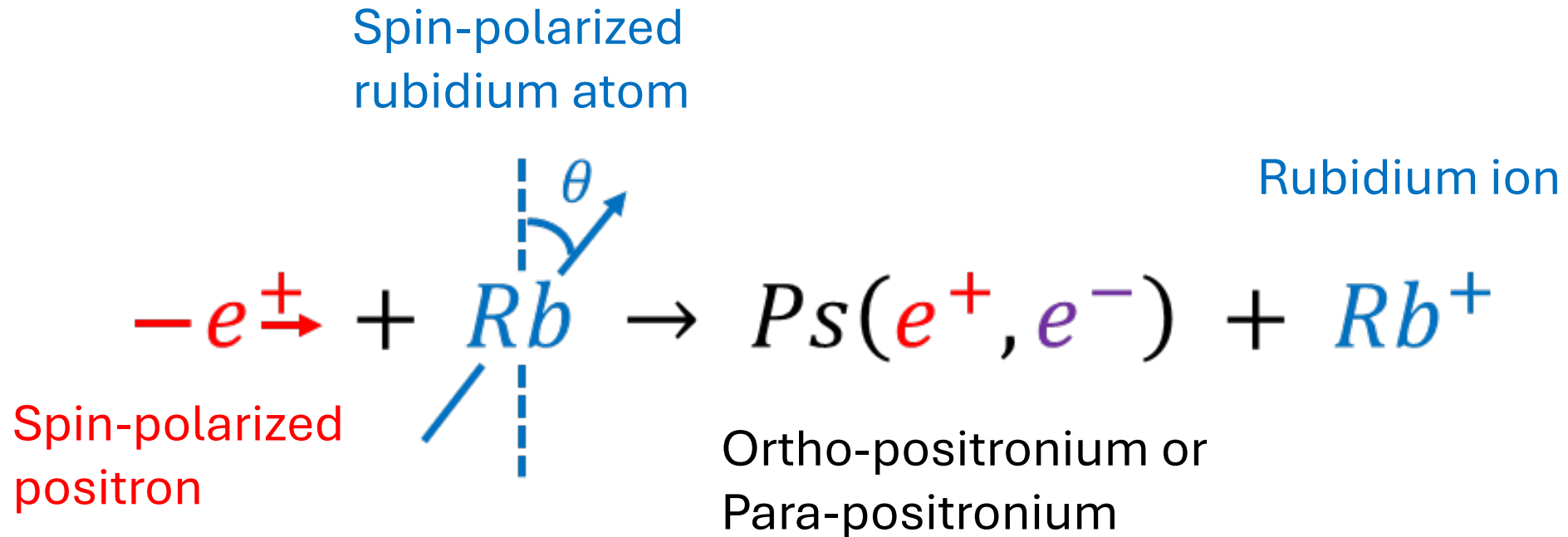


- Time between beam pulse and CEM detection is recorded
- Fast particles are separated from slow particles
- Gas beam is at room temperature and thus has a Maxwellian distribution
- Comparison to previous ANU measurement with a gas-cell and a CCC calculation by Utamuratov *et al.*
- L.Wymer, S.Kumar, T.J.Gay, S.S.Hodgman, S.J.Buckman, and J.R.Machacek, *Eur. Phys. J. D* **80**;12 (2026)

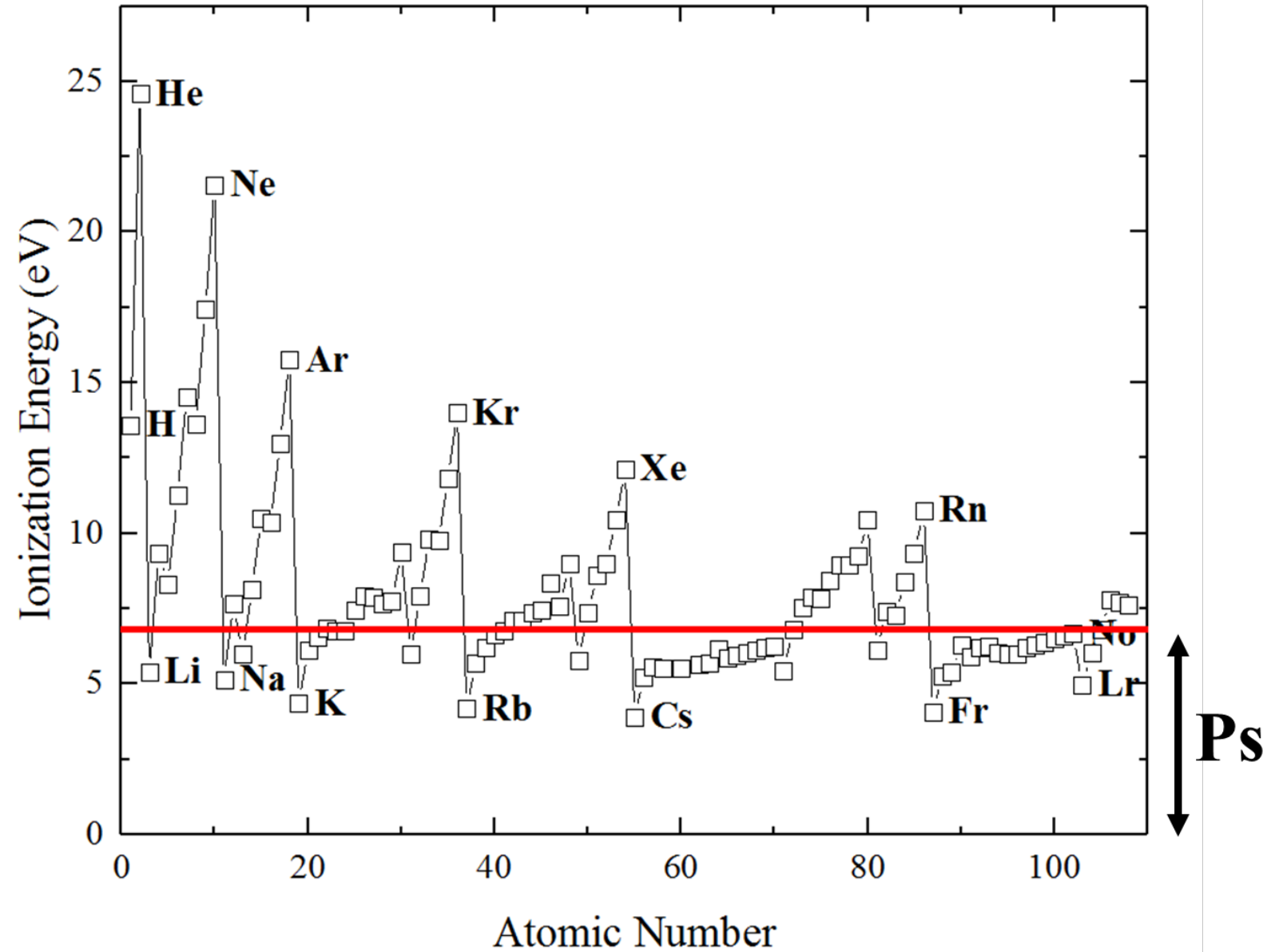
Open Questions

- Can Positrons Excite He 2^3S states ?
 - Only possible via Spin-Orbit interaction which is weak/negligible for positrons
 - 2^3S state has a threshold of 19.82 eV; the 2^1S threshold is 20.62 eV
 - Our positron beam has an energy width < 50 eV
 - Can we put an upper limit on it ?
- Extend to heavier rare gas triplet states where there is little or no work on positron excitation measurements.
 - The S-O interaction also scales as Z^2
 - A test for theory for larger atomic systems

Spin-Dependent Positronium Production with Rb

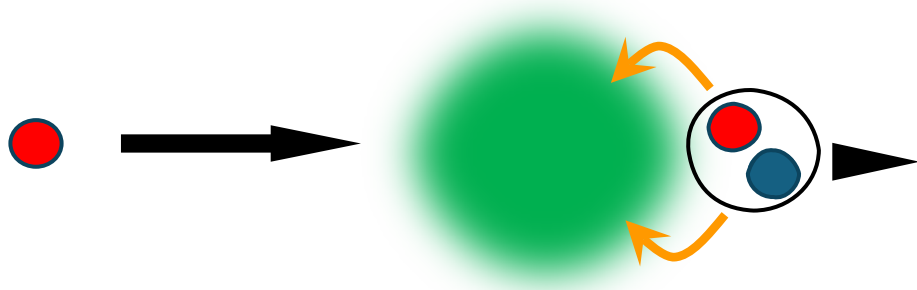


Atomic Targets



The Dynamics of Positronium Formation

Endothermic (Xe)



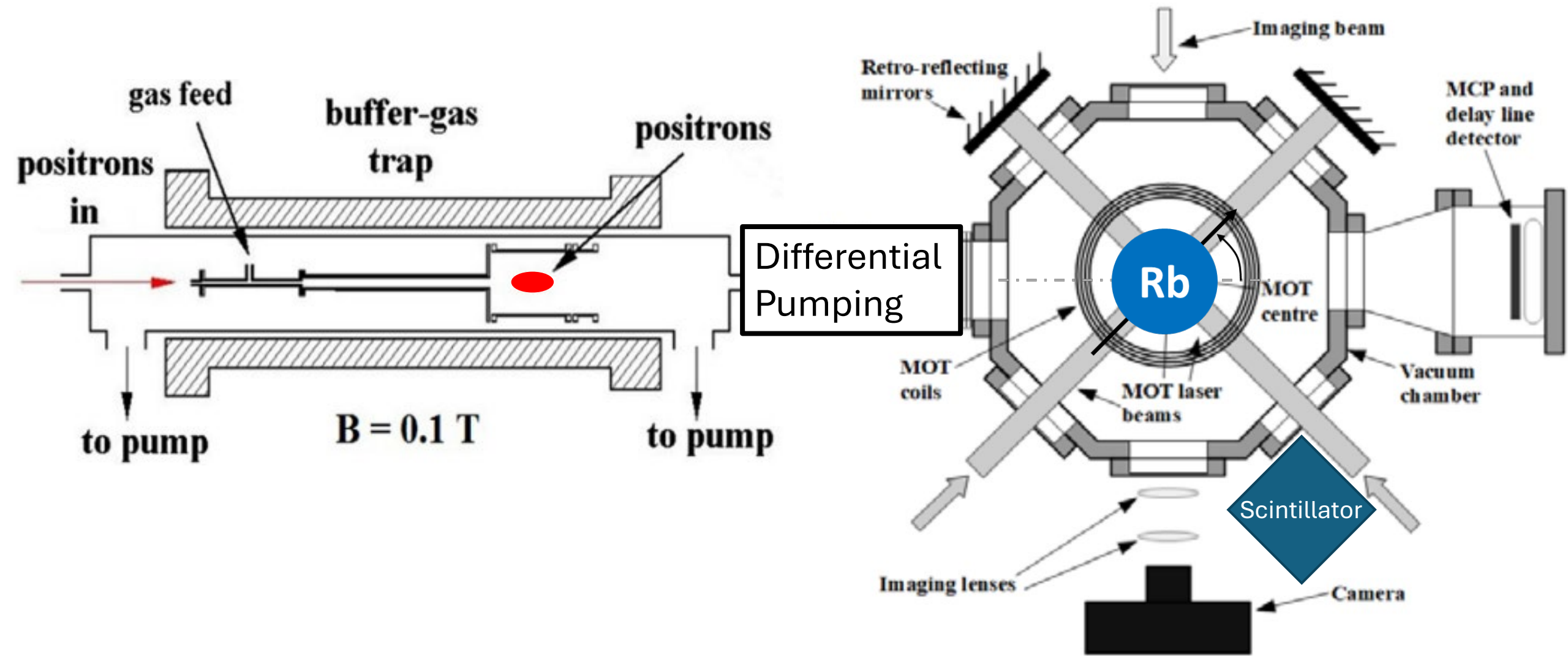
strongest interaction at threshold is between the Ps and the residual target

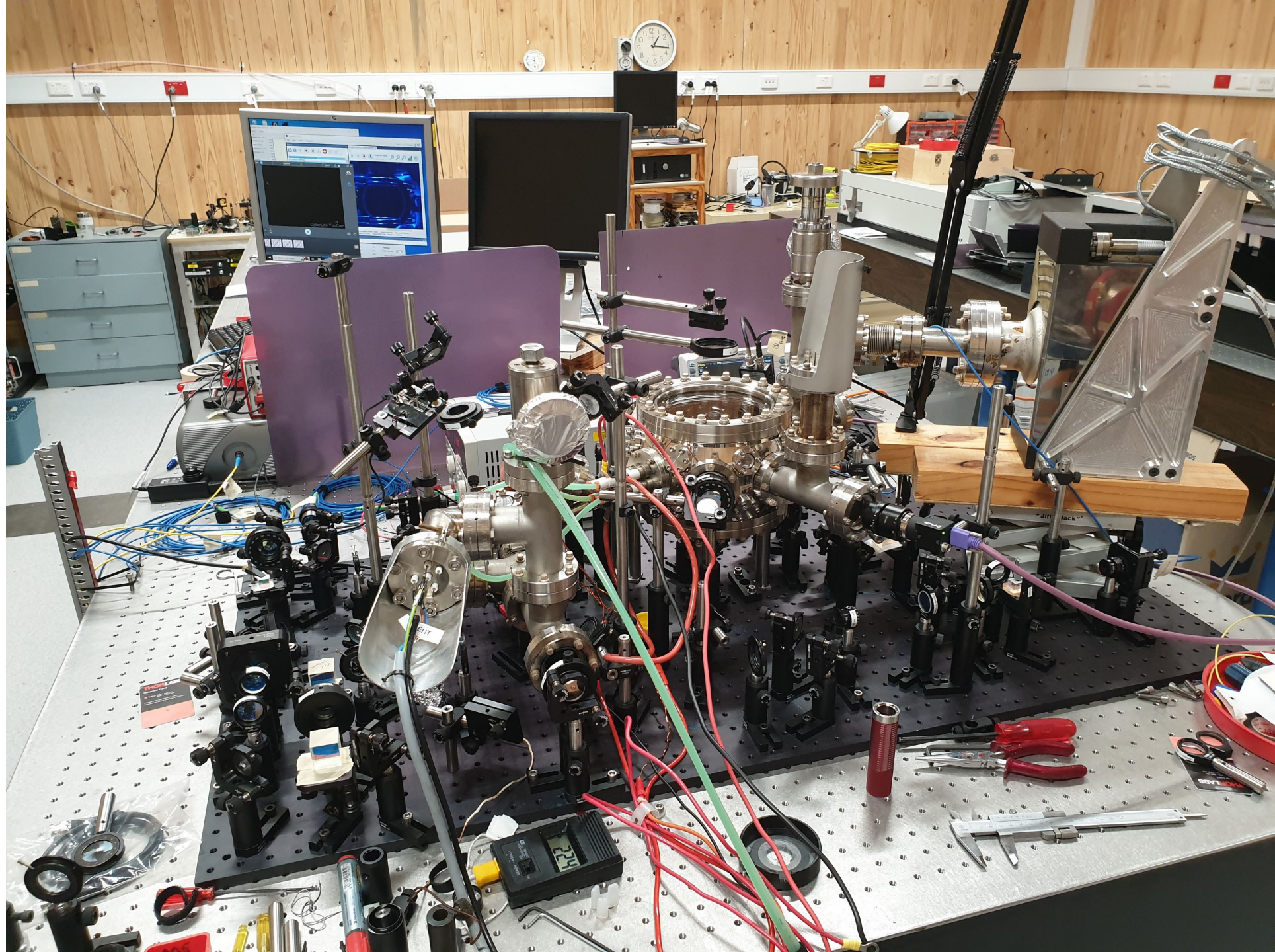
Exothermic (Rb)



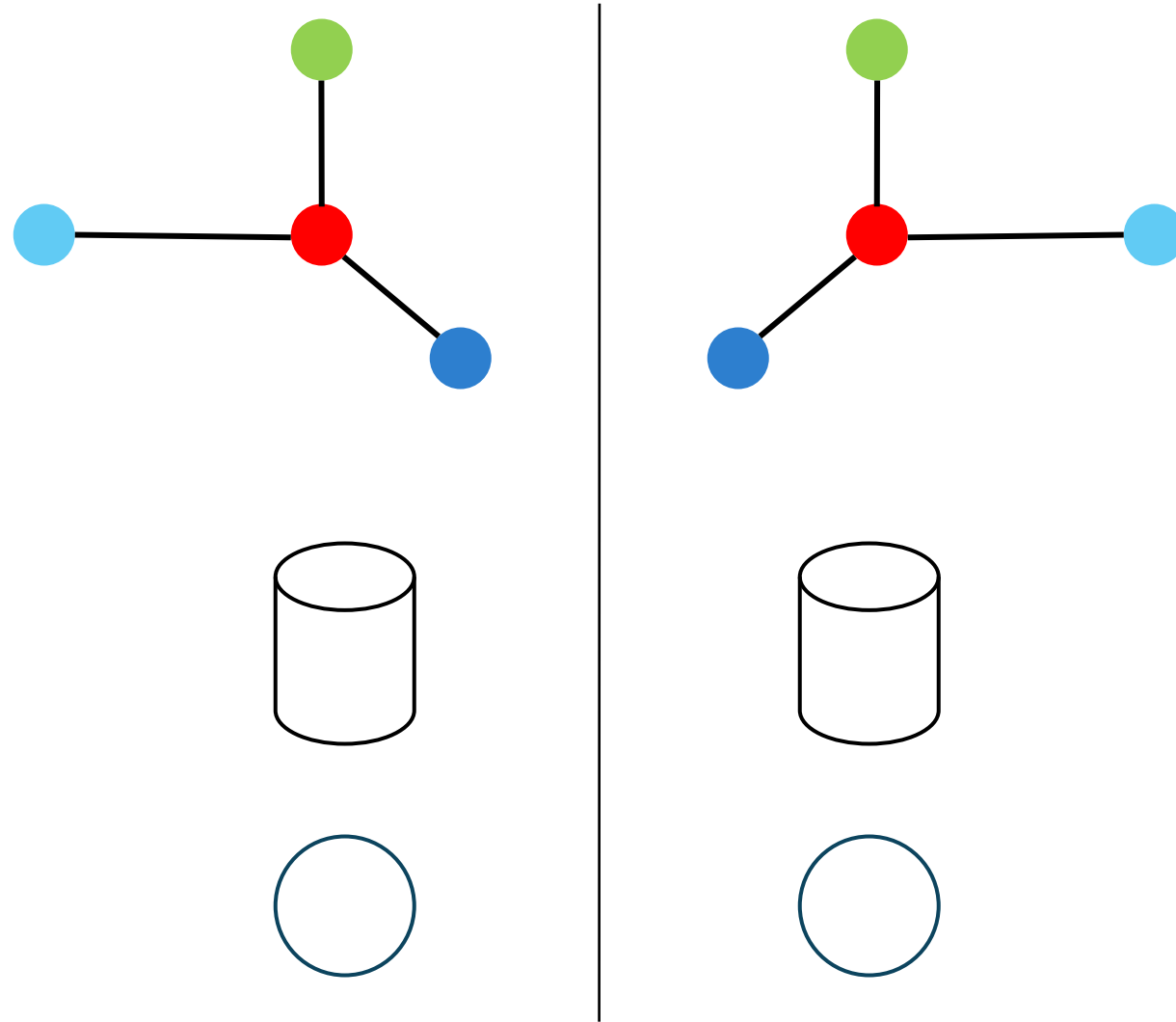
strongest interaction at low energy is between the e^+ and the target (there is no threshold)

Experimental Apparatus

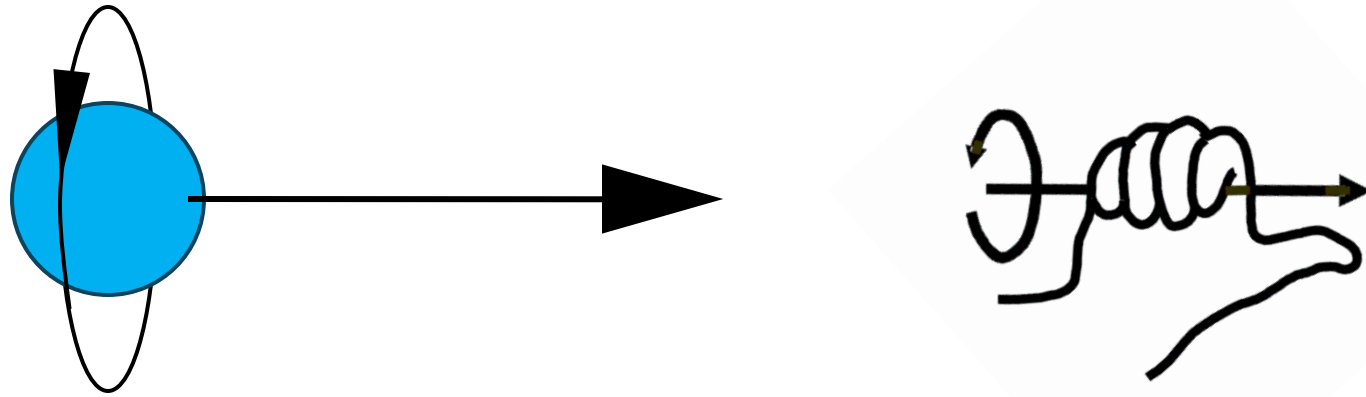




Chiral Collision Dynamics – and we're not talking vector boson here...



Plane of Mirror Symmetry



! positrons are chiral!

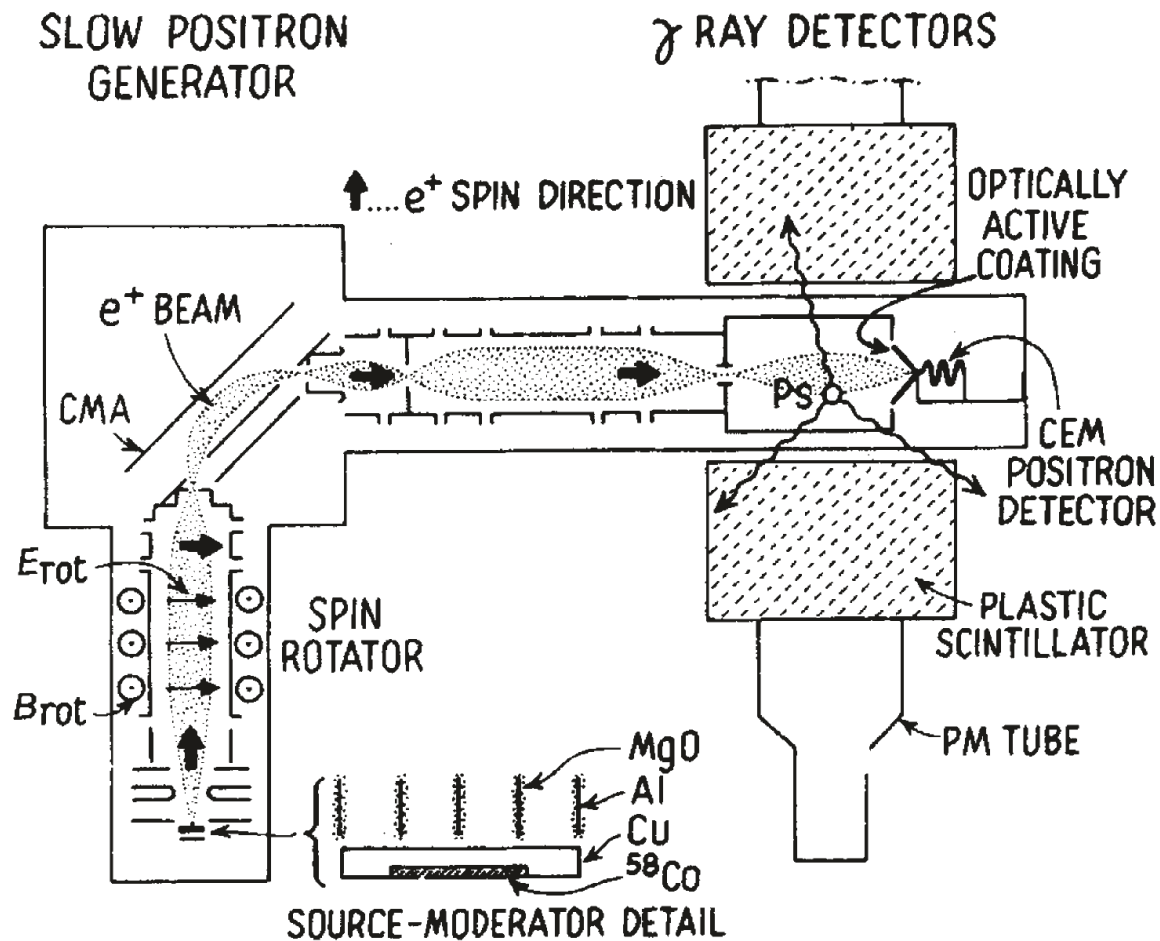
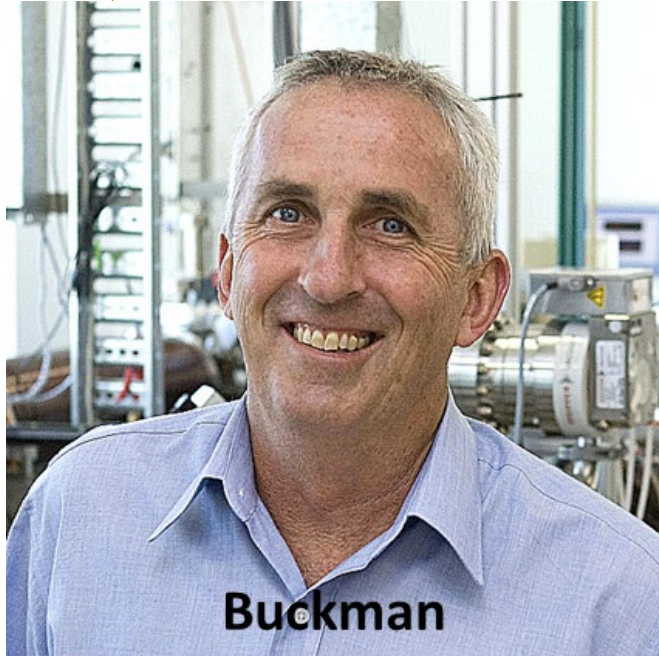


Fig. 1 The experimental apparatus used to measure asymmetries in triplet positronium formation. The beam consists of 3×10^3 positrons s^{-1} and initial helicity $h_0(e^+) = 0.21 \pm 0.02$ (ref. 13). The Wien filter spin rotator (crossed electric and magnetic fields) allows rotation of the average spin direction ($\langle \hat{s}_i \rangle$) of the beam with minimal effect on the average direction of the beam's momentum ($\langle \hat{p}_i \rangle$). Thus $h_0(e^+)$ may be continuously varied from +0.21 to -0.21.

Molecule	Annihilation Asymmetry (pp 10,000)
Cysteine	<7
Tryptophan	<7
Leucine	31(7)

D.W.Gidley , A.Rich, J. Van House, and P.W. Zitzewitz, Nature **297**, 639 (1982)

Co-Perpetrators



Australian
National
University

(no photos available for Liam Wymer, Sharan Kumar)

