

# Elastic electron–proton scattering L/T separation at high $Q^2$

DIS in  $D(e,e'n_s) / H(e,e')$

Bogdan Wojtsekhowski

# Elastic electron–proton scattering L/T separation at high $Q^2$

Why is L/T interesting to measure?

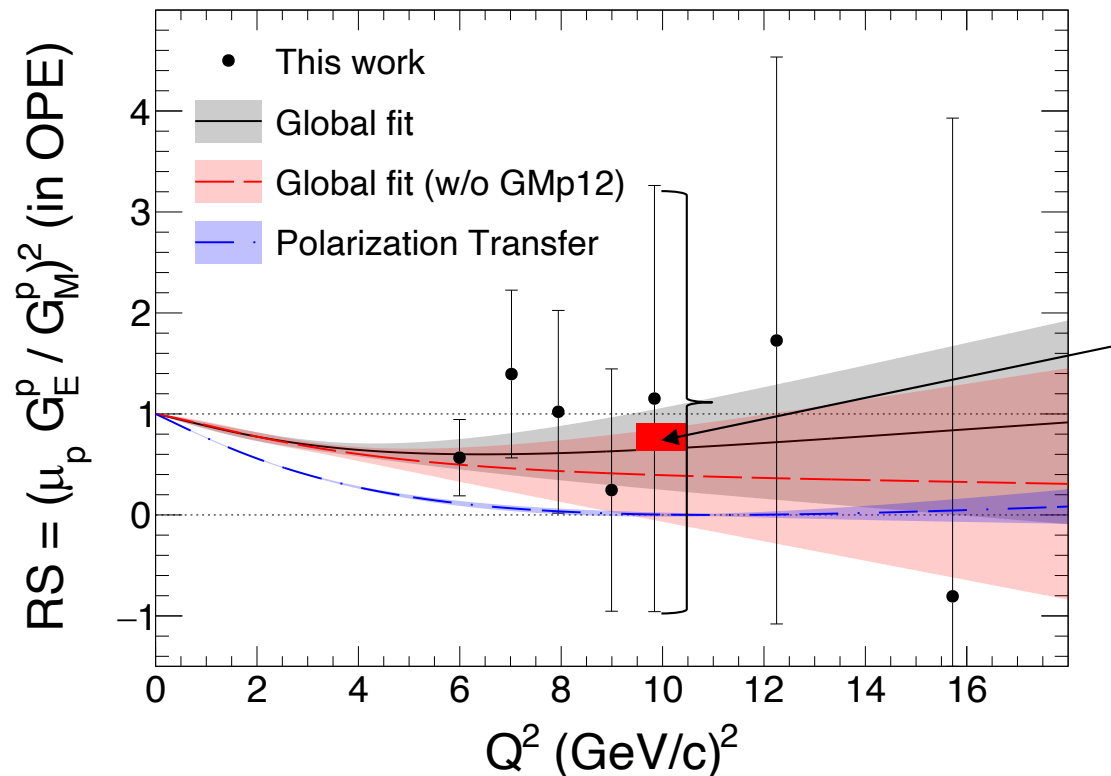
How can Hall C do such a measurement?

Projected accuracy in 10-day run

# Projected accuracy L/T at high $Q^2$

$$\frac{\Delta\sigma}{\sigma} = 0.014 \times RS \quad \text{Contribution of "GE" to cross section}$$

In a 10-day run the relative statistical variation for cross section  $\sim 0.0014$ , so the variation of the relative value of the second term in cross section and  $\delta RS$  is  $0.0014/2/0.014$ , so the accuracy for RS is  $\pm 0.05$



Significant improvement is possible

# Electro-Magnetic Form Factors



One-photon approximation,  $\alpha_{em} = 1/137$ , hadron current

$$\mathcal{J}_{hadronic}^\mu = ie\bar{N}(p') \left[ \gamma^\mu F_1(Q^2) + \frac{i\sigma^{\mu\nu}q_\nu}{2M} F_2(Q^2) \right] N(p)$$

Rosenbluth (1950)

## SLAC results for the proton Form Factors

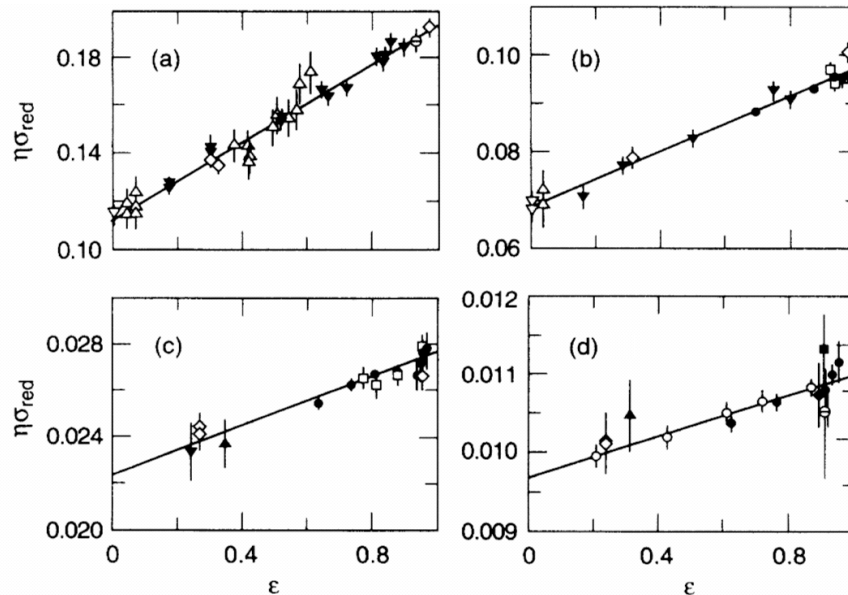
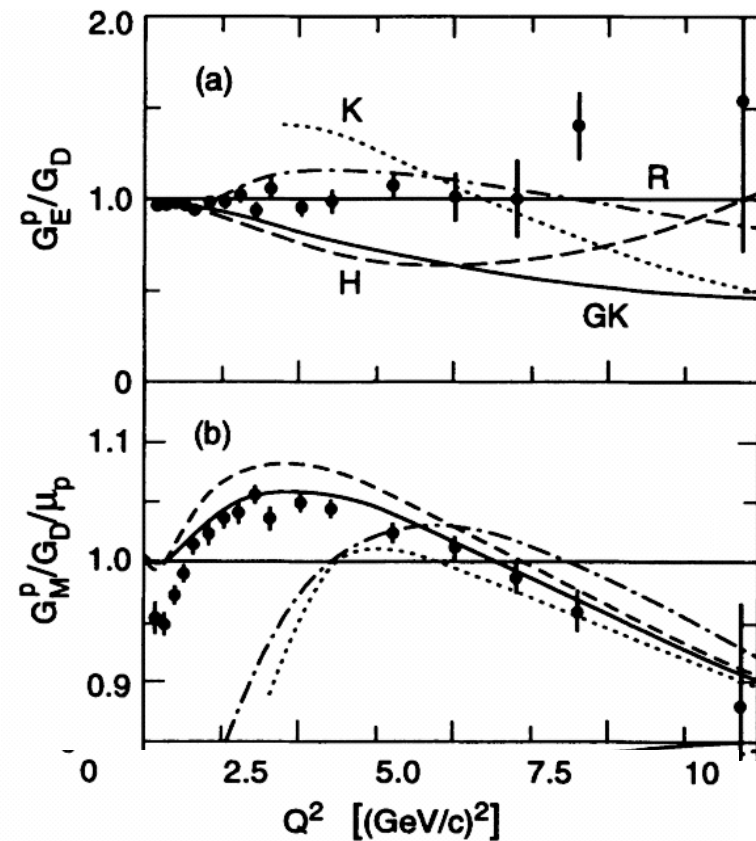


FIG. 9. Four typical Rosenbluth fits for the form factor extraction from the global data set at (a)  $Q^2 = 0.6$ , (b)  $Q^2 = 1.0$ , (c)  $Q^2 = 2.0$ , and (d)  $Q^2 = 3.0$   $(\text{GeV}/c)^2$ .



# Electro-Magnetic Form Factors



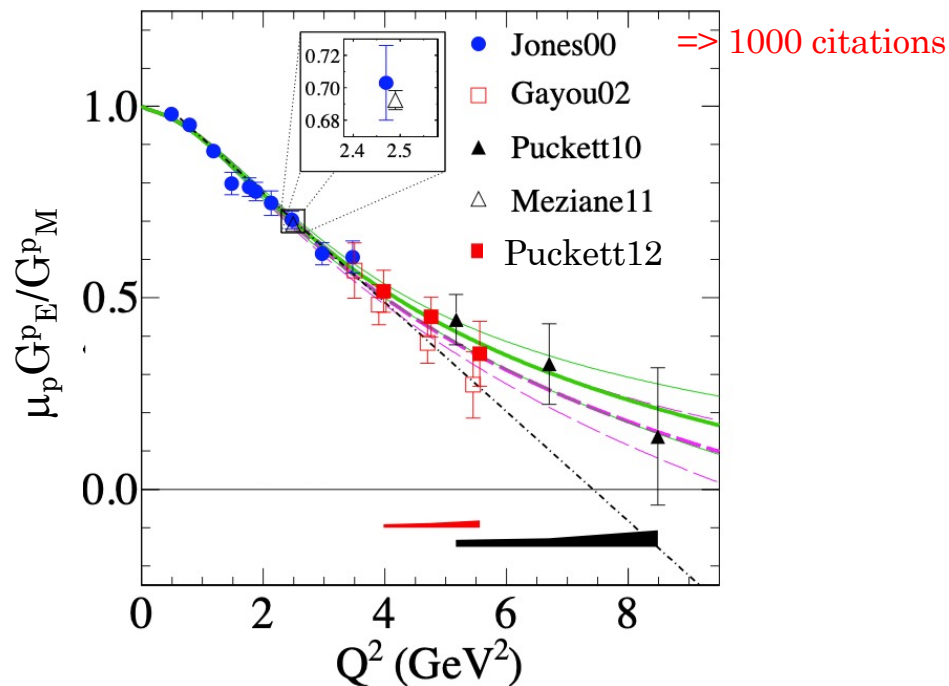
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At large  $Q^2$ , the study of  $G_E$  requires use of polarization observables  $\Rightarrow$  FFs at JLab

Rosenbluth (1950)

Akhiezer (1957)  
Arnold, Carlson  
and Gross (1981)



Perdrisat+

# Electro-Magnetic Form Factors



One-photon approximation,  $\alpha_{em} = 1/137$ , hadron current

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Rosenbluth (1950)

Akhiezer (1957)  
Arnold, Carlson and Gross (1981)

$1\gamma+2\gamma$  expression for  $\mathcal{M}$  has three complex functions,  $F_1, F_2, F_3$

$$\mathcal{M} = \frac{4\pi\alpha}{Q^2} \bar{u}' \gamma_\mu u \cdot \bar{N}' \left( \tilde{F}_1 \gamma^\mu - \tilde{F}_2 [\gamma^\mu, \gamma^\nu] \frac{q_\nu}{4M} + \tilde{F}_3 K_\nu \gamma^\nu \frac{P^\mu}{M^2} \right) N$$

$$\tilde{G}_M = \tilde{F}_1 + \tilde{F}_2 \quad \tilde{G}_E = \tilde{F}_1 - \tau \tilde{F}_2$$

$\tilde{F}_i$  are functions of  $(s - u)$  and  $t$

Guichon & Vanderhaeghen

$$d\sigma = d\sigma_{NS} \left\{ \epsilon (\tilde{G}_E + \frac{s-u}{4M^2} \tilde{F}_3)^2 + \tau (\tilde{G}_M + \epsilon \frac{s-u}{4M^2} \tilde{F}_3)^2 \right\}$$

$$\sigma_R = \epsilon G_E^2 + \tau G_M^2 + 2\tau G_M \text{Re} \left( \delta \tilde{G}_M + \epsilon \frac{s-u}{M^2} \tilde{F}_3 \right) + 2\epsilon G_E \text{Re} \left( \delta \tilde{G}_E + \frac{s-u}{M^2} \tilde{F}_3 \right)$$

Two-Photon Exchange

# Electron-proton elastic cross section

$$\sigma_{Mott} = \frac{\alpha^2 \cos^2 \frac{\theta}{2}}{4E^2 \sin^4 \frac{\theta}{2}} \frac{E'}{E} \quad \frac{d\sigma}{d\Omega} = \sigma_{Mott} \left[ \frac{G_E^2 + \tau G_M^2}{1 + \tau} + 2G_M^2 \tan^2 \frac{\theta}{2} \right],$$

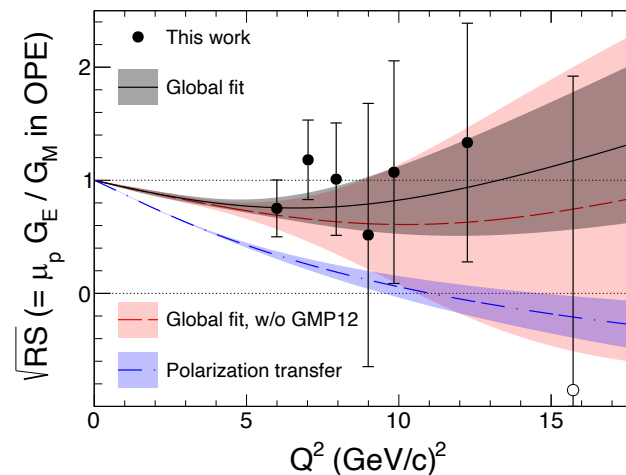
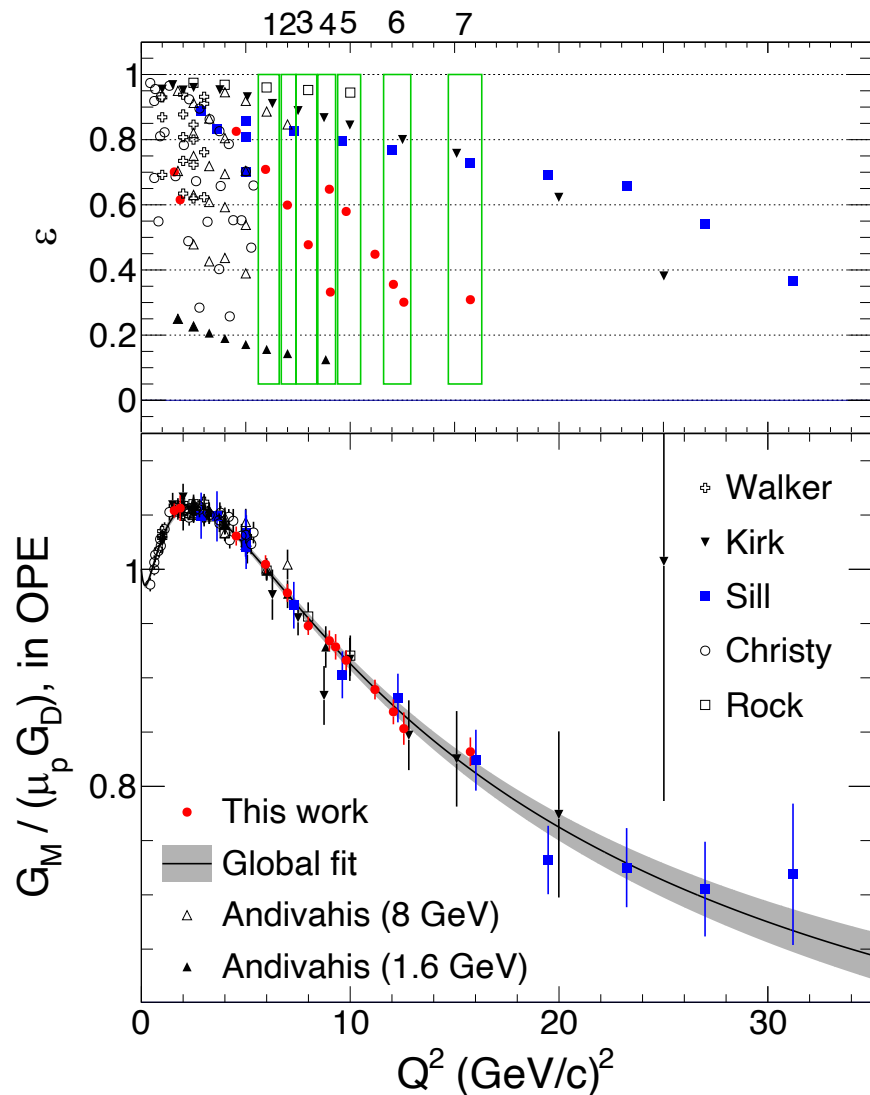
$$d\sigma/d\Omega \propto E_e^2/Q^4 \times 1/(Q^2)^4$$

In the L/T experiment with detection of **the scattered electron** we need to measure very accurately:

- Beam charge
- **Beam energy**
- Target thickness
- **Spectrometer momentum**
- **Spectrometer angle**
- Spectrometer solid angle
- Detector efficiency

# The GMp12 experiment (E12-07-108)

Phys.Rev.Lett. 128 (2022) 10, 102002



GMp12 fit:

$$G_M = \mu_p (1 + a_1 \tau) / (1 + b_1 \tau + b_2 \tau^2 + b_3 \tau^3),$$

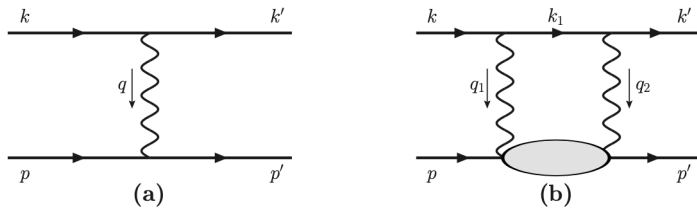
$$RS = 1 + c_1 \tau + c_2 \tau^2.$$

| $a_1$     | $b_1$     | $b_2$     | $b_3$    | $c_1$     | $c_2$    |
|-----------|-----------|-----------|----------|-----------|----------|
| 0.072(22) | 10.73(11) | 19.81(17) | 4.75(65) | -0.46(12) | 0.12(10) |

courtesy of A. Gramolin and A. Puckett



# Proton E/M from cross section



$$\begin{aligned}\sigma_R &= \tau G_M^2(Q^2) + \varepsilon G_E^2(Q^2) = \sigma_T + \varepsilon \sigma_L \\ &= G_M^2(Q^2)(\tau + \varepsilon RS(Q^2)/\mu_p^2),\end{aligned}$$

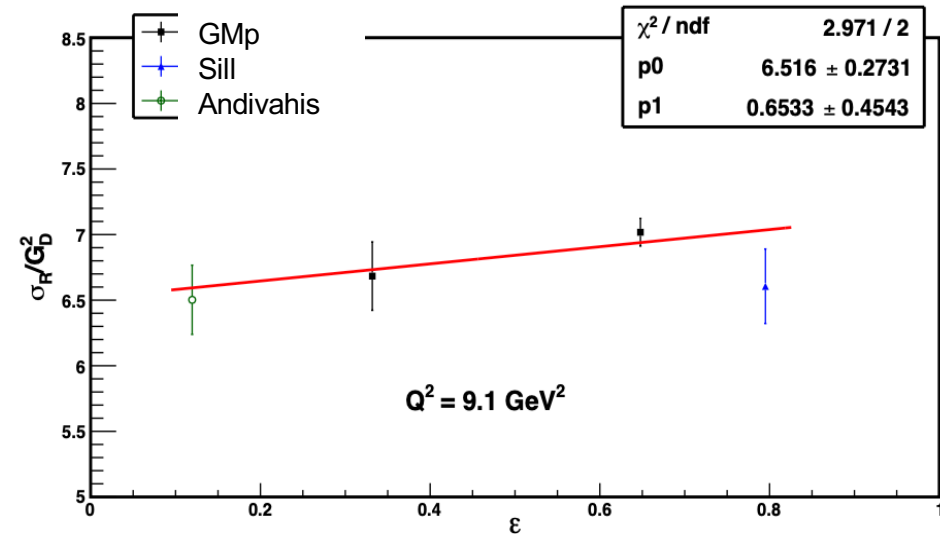
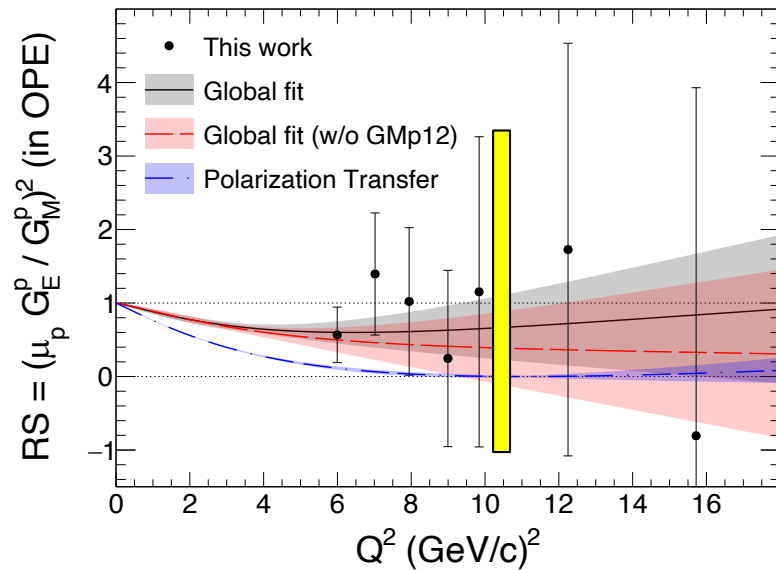
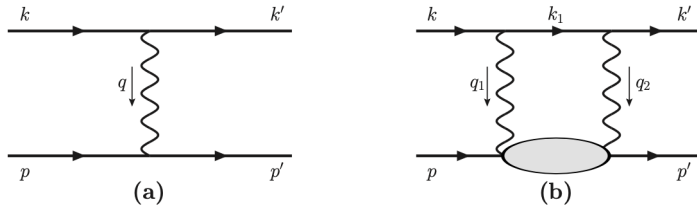


Figure 5.7. Reduced cross section normalized by  $G_D^2$  versus  $\varepsilon$  at  $Q^2 = 9.1 \text{ GeV}^2$ .

$$d\sigma/d\Omega \propto E_e^2/Q^4 \times 1/(Q^2)^4$$

# Proton E/M from cross section



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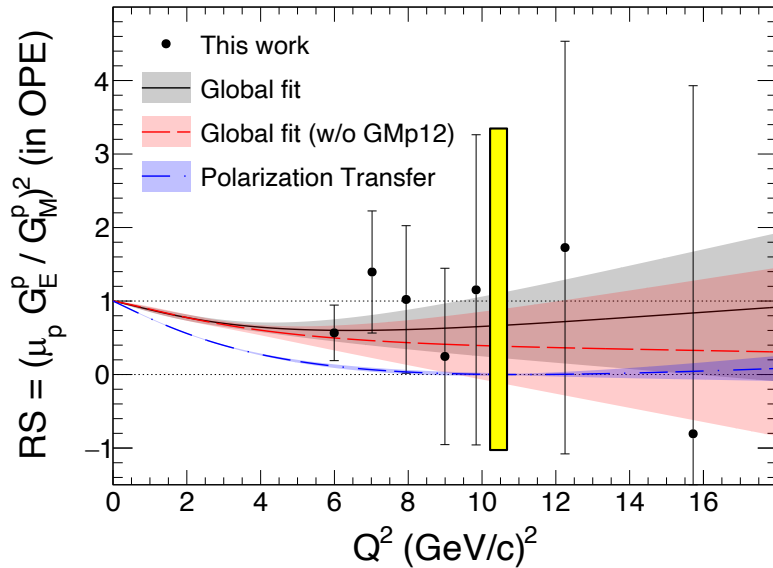


TABLE III. Rosenbluth separation results for the data groupings shown in the top panel of Fig. 1, after centering to the average  $Q_c^2$ . The quoted values of  $\sigma_L$  and  $\sigma_T$  as defined in Eq. (2), and  $G_M/(\mu_p G_D)$  and  $\mu_p G_E/G_M$  are obtained assuming validity of the OPE approximation. For the largest  $Q^2$ , where  $\sigma_L < 0$ , we quote  $-\sqrt{|\text{RS}|}$ .

| $Q_c^2$<br>(GeV/c) <sup>2</sup> | $\sigma_T \times 10^5$ | $\sigma_L \times 10^5$ | $G_M/(\mu_p G_D)$<br>(OPE) | $\mu_p G_E/G_M$<br>(OPE) |
|---------------------------------|------------------------|------------------------|----------------------------|--------------------------|
| 5.994                           | 167 ± 4                | 7.1 ± 4.6              | 1.000 ± 0.011              | 0.75 ± 0.25              |
| 7.020                           | 104 ± 3                | 9.3 ± 5.3              | 0.967 ± 0.015              | 1.18 ± 0.35              |
| 7.943                           | 71.0 ± 2.7             | 4.1 ± 3.9              | 0.943 ± 0.018              | 1.0 ± 0.5                |
| 8.994                           | 49.8 ± 1.7             | 0.7 ± 3.0              | 0.934 ± 0.016              | 0.5 ± 1.2                |
| 9.840                           | 36.9 ± 2.4             | 1.9 ± 3.5              | 0.909 ± 0.029              | 1.1 ± 1.0                |
| 12.249                          | 18.0 ± 0.8             | 1.2 ± 1.8              | 0.858 ± 0.019              | 1.3 ± 1.1                |
| 15.721                          | 8.6 ± 0.5              | -0.2 ± 1.2             | 0.840 ± 0.025              | (-0.9 ± 2.8)             |

$$d\sigma/d\Omega \propto E_e^2/Q^4 \times 1/(Q^2)^4$$

# Landau textbook on electron-hadron

§ 139]

РАССЕЯНИЕ ЭЛЕКТРОНОВ АДРОНАМИ

685

Поэтому имеем

$$-t = \frac{4\varepsilon_e^2 \sin^2 \frac{\vartheta}{2}}{1 + \frac{2\varepsilon_e}{M} \sin^2 \frac{\vartheta}{2}}, \quad (139,7)$$

$$\pi d|t| = \frac{\varepsilon_e^2 do'_e}{\left(1 + \frac{2\varepsilon_e}{M} \sin^2 \frac{\vartheta}{2}\right)^2}, \quad (139,8)$$

где  $do'_e = 2\pi \sin \vartheta d\vartheta$ . В формуле (139,4) можно везде опустить массу электрона  $m$ ; выразив все величины через  $t$  и  $s - M^2 = 2M\varepsilon_e$ , получим

$$d\sigma = \frac{\pi\alpha^2 d|t|}{\varepsilon_e^2 t^2} \left\{ F_e^2(t) \left[ \frac{(4M\varepsilon_e + t)^2}{4M^2 - t} + t \right] - \frac{t}{4M^2} F_m^2(t) \left[ \frac{(4M\varepsilon_e + t)^2}{4M^2 - t} - t \right] \right\},$$

will allow improved acceptance determination as well as  $Q^2$  matching between the points at the level of the HRHh spectrometer resolution ( $\approx 10^{-4}$ ) since this spectrometer's magnetic field setting will be constant. While we expect the coincident measurement will provide the most accurate measurement of  $G_{E_p}/G_{M_p}$ , the singles measurement will provide a consistency

# Projected accuracy L/T at high $Q^2$

the beam energy uncertainty contribution:

$$d\sigma = \frac{\pi\alpha^2 d|t|}{\varepsilon_e^2 t^2} \left\{ F_e^2(t) \left[ \frac{(4M\varepsilon_e + t)^2}{4M^2 - t} + t \right] - \frac{t}{4M^2} F_m^2(t) \left[ \frac{(4M\varepsilon_e + t)^2}{4M^2 - t} - t \right] \right\}$$

$$\frac{\partial\sigma}{\partial E_e} = -\frac{2\cdot\sigma}{E_e} + 0.21 \cdot \sigma \approx \frac{0.34\cdot\sigma}{E_e}$$

$$\frac{\delta\sigma}{\sigma} = 0.34 \times \frac{\delta E_e}{E_e} \quad \text{It is small}$$

# How to do accurate L/T at high $Q^2$

$$d\sigma = \frac{\pi\alpha^2 d|t|}{\epsilon_e^2 t^2} \left\{ F_e^2(t) \left[ \frac{(4M\epsilon_e + t)^2}{4M^2 - t} + t \right] - \frac{t}{4M^2} F_m^2(t) \left[ \frac{(4M\epsilon_e + t)^2}{4M^2 - t} - t \right] \right\}$$

Proton spectrometer controls *t and d/t*, beam energy is less important

In Hall C using SHMS and HMS, 6 GeV/c recoiled proton in  $\Omega = 10+$  msr

for  $-t = Q^2 = 10 \text{ GeV}^2$  or  $-\tau = \frac{Q^2}{4M^2} = 2.82$  Rate is 12 Hz  
 using  $E_e = 11 \text{ GeV}$  got  $\theta_p = 21.0$  deg. and  $\epsilon = 0.76$  ←  
 using  $E_e = 7.5 \text{ GeV}$  got  $\theta_p = 14.6$  deg. and  $\epsilon = 0.46$  ← Rate is 1.5 Hz

What will experimental accuracy will be for realistic  $\Delta\epsilon = 0.3$  :

$$\sigma \propto \tau + \frac{\epsilon}{\mu_p^2} (\mu_p G_E / G_M)^2 \Rightarrow 1 + \frac{\epsilon}{\tau \mu_p^2} \times RS$$

$$\frac{\Delta\sigma}{\sigma} = 0.014 \times RS$$

In 10 days statistics is  $10^6$  events  
for each beam energy

# High accuracy L/T, 1998

**Letter –of-Intent:** LOI-99-003

**Title:** A Precision Measurement of  $G_p^E/G_p^M$  at  $Q^2 = 2.0$  and  $4.0 \text{ GeV}^2$

**Spokespersons:** B. Wojtsekhowski, W. Bertozzi, K. Fissum, D. Rowntree

Precision measurements of  $G_p^E$  are of great interest for providing information on the proton's

will allow improved acceptance determination as well as  $Q^2$  matching between the points at the level of the HRHh spectrometer resolution ( $\approx 10^{-4}$ ) since this spectrometer's magnetic field setting will be constant. While we expect the coincident measurement will provide the most accurate measurement of  $G_{E_p}/G_{M_p}$ , the singles measurement will provide a consistency

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Precision measurements of  $G_p^E$  are of great interest for providing information on the proton's substructure. New precision measurements using recoil polarization from Hall A experiment 93-027 indicate a decreasing ratio of  $G_p^E/G_p^M$  with  $Q^2$ , contradicting some of the previous measurements using a Rosenbluth separation. This LOI discusses a new precision measurement in Hall A using the Rosenbluth technique. It would require control and understanding of systematic effects at the level of 1% in measurements of relative cross sections. The PAC acknowledges the interesting suggestions for limiting potential systematic errors presented in this letter but is not convinced that this 1% level can be achieved. In addition, as a cross-check on the recoil polarization technique a polarized beam-polarized target measurement would be more straightforward than the extremely challenging high-precision Rosenbluth separation discussed here. Also, while the PAC appreciates the importance of demonstrating the potential for doing high-precision Rosenbluth measurements with regard to future possible measurements (e.g. Coulomb Sum Rule), the PAC is not convinced that the physics motivation discussed in the present letter warrants the significant effort required to carry out such a difficult experiment.

# PAC18 report

**Proposal:** E-01-001

**Scientific Rating:** A

**Title:** New measurement of  $G_E/G_M$  for the proton.

**Spokesperson:** R. E. Segel and J. Arrington

**Motivation:** The disagreement between the Rosenbluth method and the polarization transfer method of existing determinations of  $G_E/G_M$  motivates this experiment to make a new Rosenbluth measurement with several improvements to the experimental method. It is of great importance to determine if there is a fundamental problem with either the Rosenbluth or polarization transfer methods, as they are also used for many other experiments.

**Measurement and Feasibility:** The new measurement will detect protons, which have fixed momentum at fixed  $Q^2$ , independent of epsilon. By simultaneously making measurements at very low  $Q^2$ , where there is no controversy, systematic errors are reduced compared to the previous Rosenbluth measurements, which detected electrons over a wide range of momentum at fixed  $Q^2$ , and did not have a simultaneous low  $Q^2$  measurement. Radiative corrections are also smaller using protons. The experiment uses standard equipment and methods, and appears to be straightforward to carry out.

**Issues:** The PAC believes it would be of higher scientific value to emphasize more precise measurements at the lower values of  $Q^2$ , where the Rosenbluth method and polarization transfer already have a significant difference. It will be very important to check the assumed linearity of the Rosenbluth separation with respect to epsilon at the optimal  $Q^2$  values by taking data at more epsilon points than proposed.

**Recommendation:** Approve for 10 days in Hall A.

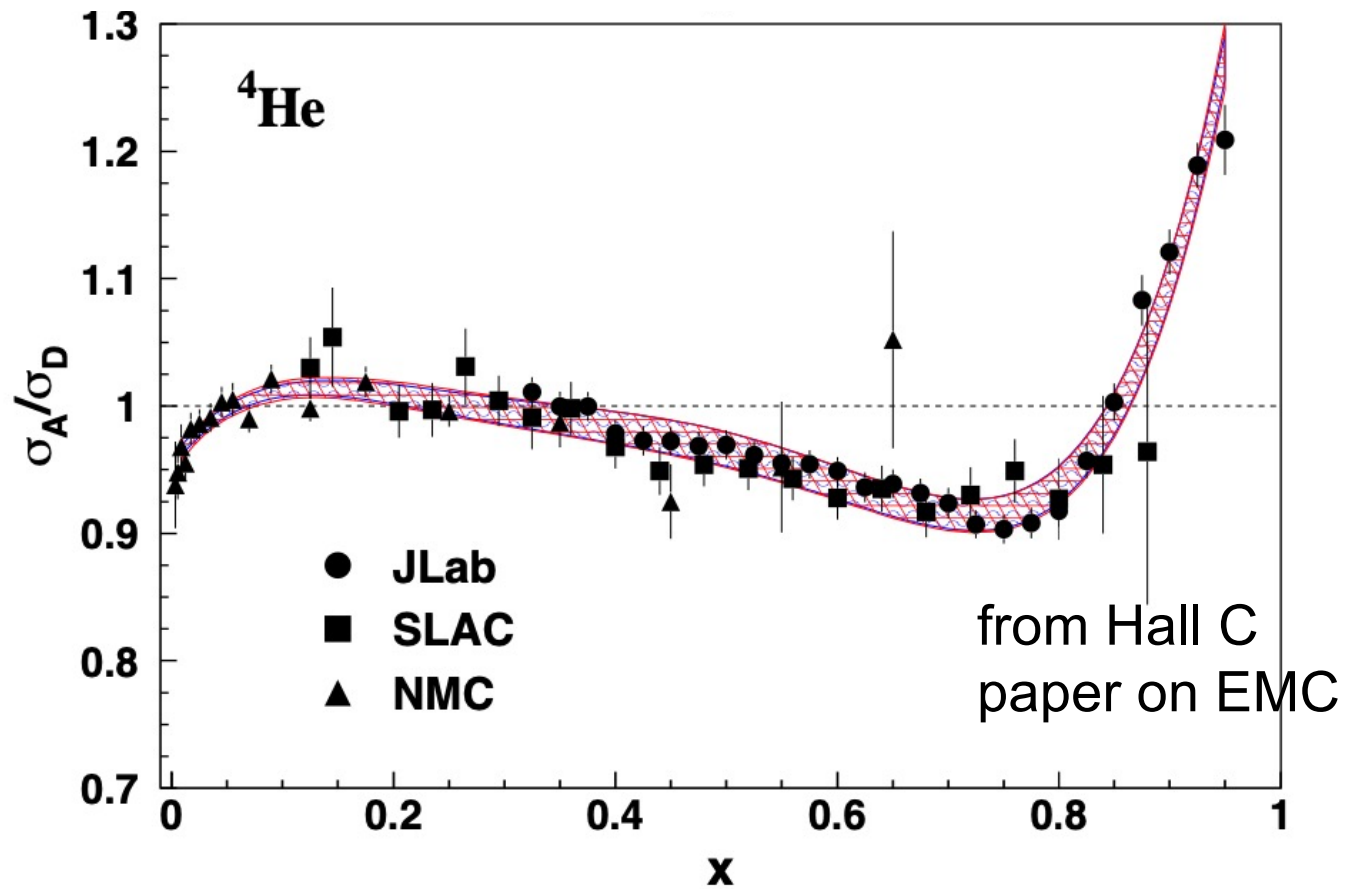


# Summary

- ❖ Accurate measurement of the L/T ratio at high  $Q^2$  will significantly boost understanding of the basic process.
- ❖ Accurate measurement of the L/T ratio at high  $Q^2$  is possible using a fixed momentum proton spectrometer.
- ❖ HMS and SHMS with 6-7 GeV/c allow us to do this experiment in 10 days for  $Q^2 = 10 \text{ GeV}^2$  to accuracy  $\delta(\mu G_E)/G_M < 10\%$
- ❖ L/T-10 will provide essential constraints on two-photon exchange contribution functions.

“EMC” in  $D(e, e'n_s) / H(e, e')$

# EMC effect



# Proposal 05-014 for $D(e,e'n_s)$

(A New Proposal to Jefferson Lab PAC27)  
Neutron Tagged bound proton structure to probe the Origin  
of the EMC Effect

G.D. Cates, D. Day, N. Liyanage (Spokesperson and contact person),  
R. Lindgren, V. Nelyubin, B. Norum, O. Rondon K. Slifer, A. Tobias, K. Wang,  
S. Tajima, B. Craver, R. Chang  
*University of Virginia, Charlottesville, VA 22904*

J.P. Chen, P. Degtiarenko, E. Chudakov, J. Gomez, O. Hansen, D. Higinbotham, B. Reitz,  
B. Wojtsekhowski (Spokesperson)  
*Jefferson Lab, Newport News, VA 23606*

# PAC27 report

**Proposal:** PR-05-014

**Scientific Rating:** N/A

**Title:** Neutron Tagged Bound Proton Structure to Probe the Origin of the EMC Effect

**Spokespersons:** Nilanga Liyanage, Bogdan Wojtsekhowski

**Motivation:** The determination of the ratio  $F_2^n/F_2^p$  and the  $d/u$  quark momentum distributions at large  $x$  in the proton suffer from uncertainties due to our lack of understanding of the EMC effect in the deuteron. Different classes of models lead to very different results at large  $x$  making the extraction of the neutron structure function from the deuteron ambiguous. The proposed experiment aims to probe the EMC effect from a barely bound to a strongly bound proton by means of deep inelastic scattering off the proton in the deuteron and by tagging the spectator neutron. This would allow discrimination between different models of the EMC effect.

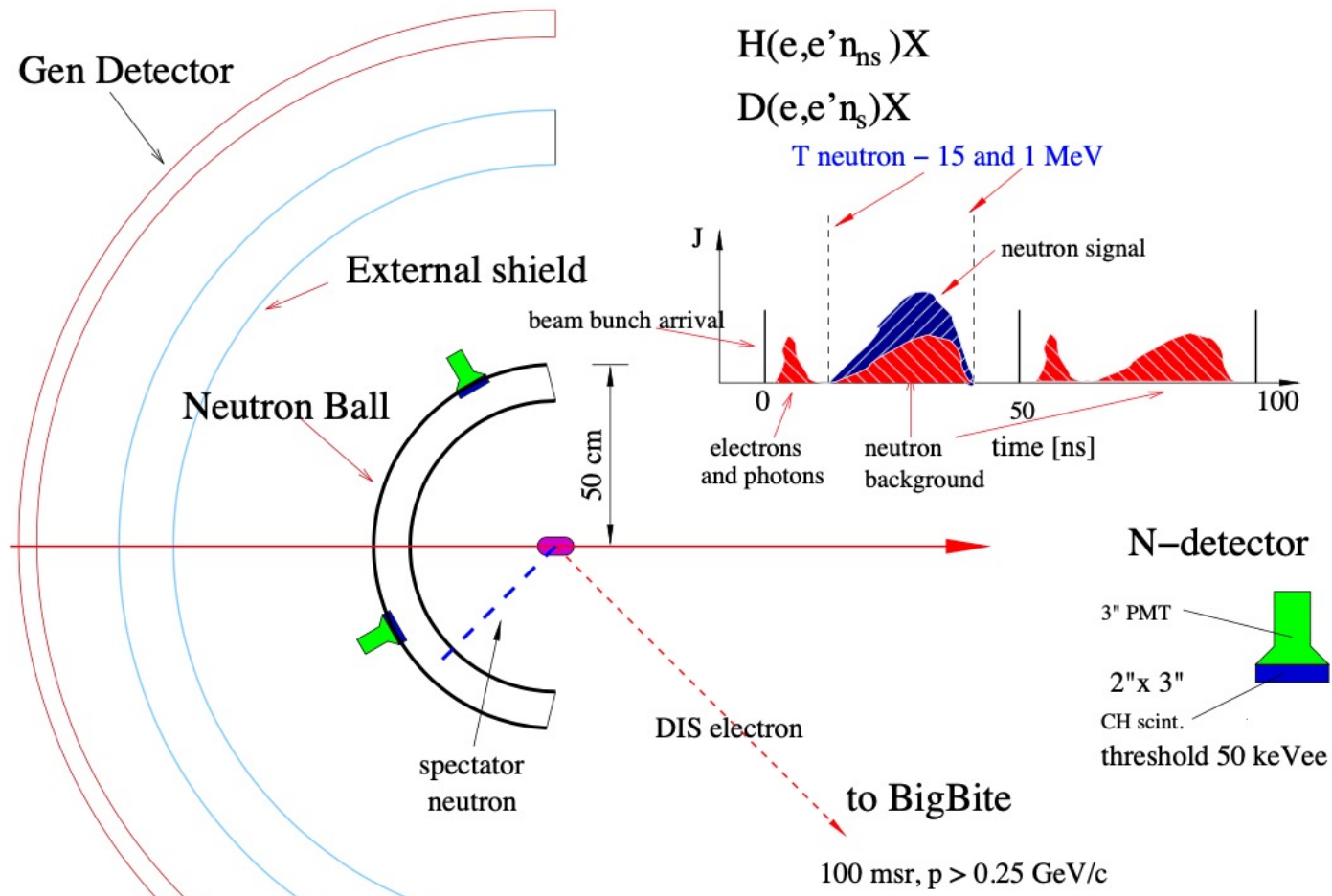
# PAC27 report

**Measurement and Feasibility:** In the proposed experiment the ratio  $\sigma[D(e,e'N)X]_{(x',\alpha^{sp},p_t,Q^2)} / \sigma[p(e,e')X]_{(x',Q^2)}$  is measured at values of  $x'$  from 0.11 up to 0.6 and spectator momentum fraction  $1.04 \leq \alpha^{sp} \leq 4$  where  $\sigma[D(e,e'N)X]_{(x',\alpha^{sp},p_t,Q^2)}$  is normalized to the inclusive  $D(e,e')$  cross section. An absolute measurement of this ratio is performed at each of the proposed  $\alpha^{sp}$  by using the reaction  $D(e,e'pn)$  to calibrate the neutron detector efficiency to about 3%. Furthermore, to improve on the relative uncertainty in the determination of this ratio as a function of  $\alpha^{sp}$ , it is normalized at each value of  $x'$  by its measured value at  $x'=0.2$  leading to the determination of the ratio  $G = \sigma[D(e,e'N)X]_{(x',\alpha^{sp},p_t,Q^2)} / \sigma[D(e,e'N)X]_{(x'_2=0.2,\alpha^{sp},p_t,Q^2)}$ . The experiment makes use of the BigBite spectrometer to detect electrons. The spectator neutrons are detected by using the neutron detector of the  $G_E^n$  experiment (E02-013) for the largest momenta and a new specially designed low energy neutron detector. The method takes advantage of the beam time structure as used in the G0 experiment in order to reduce the electromagnetic background and determine the shape of the neutron background with precision.

**Issues:** While the PAC is in principle very positive about this method, some issues remain to be addressed. The sensitivity of this experiment is at the  $4\sigma$  level, which is marginal. The rate of accidental coincidences in the neutron detectors needs to be investigated by a test measurement, as already considered by the proponents, in order to optimize the luminosity of the experiment. A more complete estimate of the resulting systematic errors must be performed and must include the effect of  $R = \sigma_L / \sigma_T$ , as well as the possible uncertainty resulting from the normalization of the deuteron coincidence cross section to the inclusive one when the spectator is far off-shell.

**Recommendation:** Defer

# 2004 proposal for $D(e, e'n_s)$




# EIC plan for $D(e, e' n_s/p_s)$

PHYSICAL REVIEW C **104**, 065205 (2021)

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## Deep-inelastic electron-deuteron scattering with spectator nucleon tagging at the future Electron Ion Collider: Extracting free nucleon structure

Alexander Jentsch <sup>1,\*</sup> Zhoudunming Tu,<sup>1,2,†</sup> and Christian Weiss<sup>3,‡</sup>

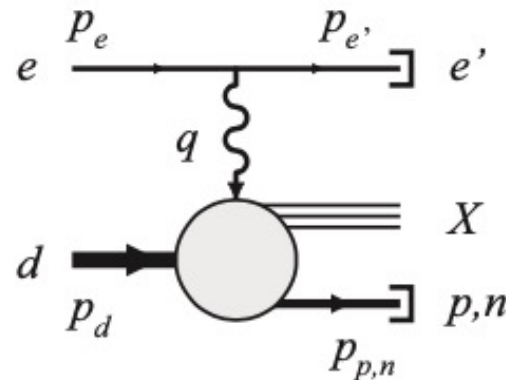
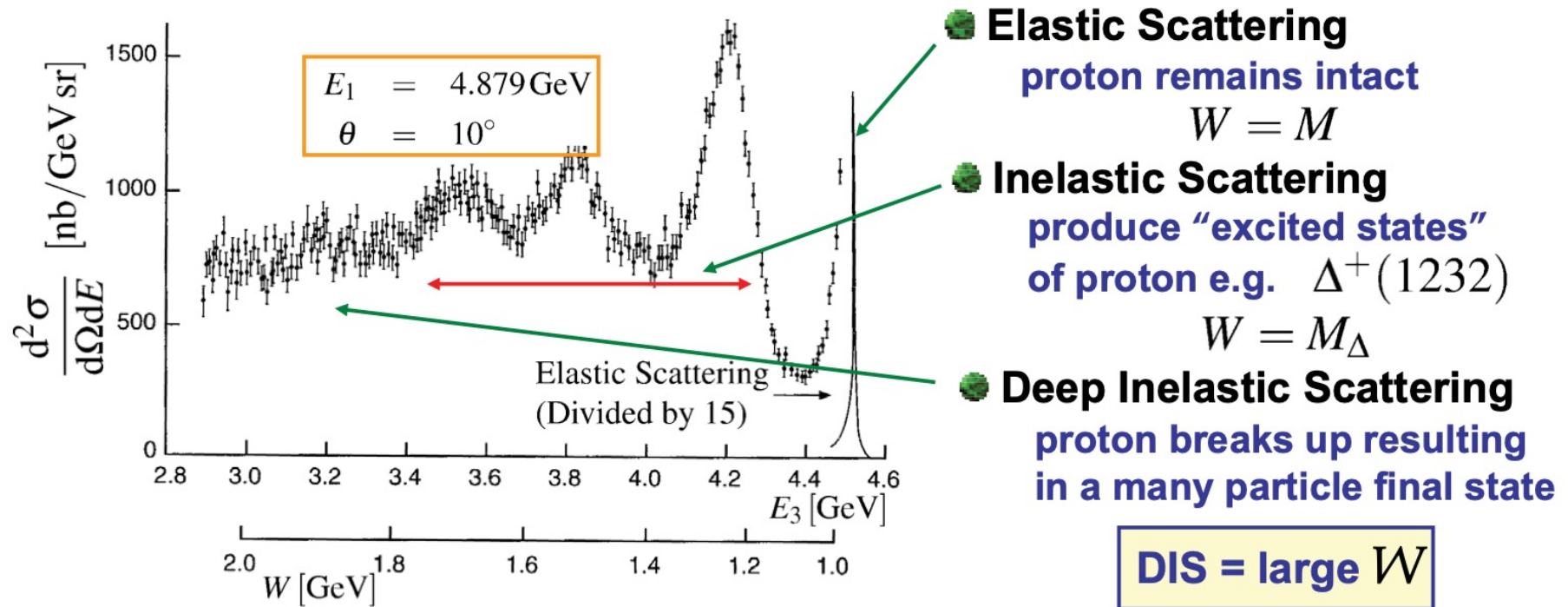


FIG. 1. DIS on the deuteron with detection of a proton (or neutron) in the nuclear fragmentation region,  $e + d \rightarrow e' + X + p(n)$  (“tagged DIS”).



# DIS event rate



$$\frac{d^2 \sigma}{dE_3 d\Omega} = \frac{\alpha^2}{4E_1^2 \sin^4 \theta / 2} \left[ \frac{1}{v} F_2(x, Q^2) \cos^2 \frac{\theta}{2} + \frac{2}{M} F_1(x, Q^2) \sin^2 \frac{\theta}{2} \right]$$

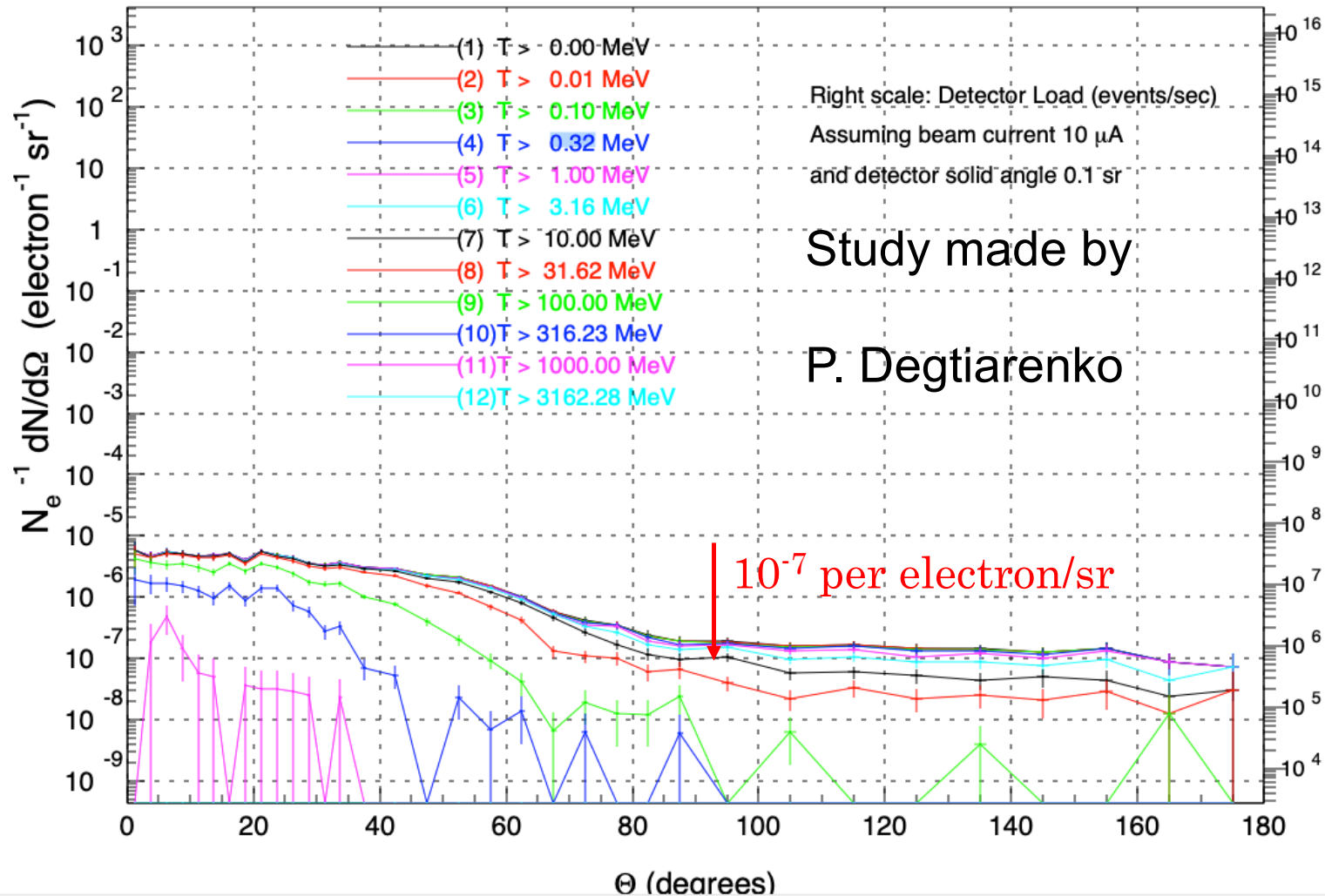
$\sim 0.3$

$F_2(x) = 2xF_1(x)$

# Detector rate vs angle

2012/09/11 08.58

$e + H \rightarrow n + X$  at  $E_e = 11$  GeV, liq.H<sub>2</sub> in 125 $\mu$ m Al,  $\varnothing 5 \times 15$  cm



# Detector rates at $L = 3 \times 10^{37}$

( $10 \mu\text{A} \times 5 \text{ cm LD2}$ )

- Neutron energy of 5 MeV ( $p = 100 \text{ MeV}/c$ ) and  $\text{angle} > 100 \text{ deg}$
- Rate of  $n \sim 0.3 \times 10^{-6}$  per electron/sr =  $20 \text{ MHz/sr}$  for  $10 \mu\text{A} \times 5 \text{ cm LD2}$
- Those soft neutrons are from the many-particle final state processes
- DIS rate:  $E = 11 \text{ GeV}$  beam at  $15 \text{ deg}$  on the proton target (see also a plot).
- The DIS rate with  $\text{SBS} = > 0.05 \text{ sr} \times 1 \times 10^{-32} \text{ cm}^2/\text{sr} \times 3 \times 10^{37} \text{ cm}^{-2}/\text{s} = 1.5 \times 10^4 \text{ Hz}$

# Detector rates at $L = 3 \times 10^{37}$ ( $10 \mu\text{A} \times 5 \text{ cm LD2}$ )

- Neutron energy of 5 MeV ( $p = 100 \text{ MeV}/c$ ) and  $\text{angle} > 100 \text{ deg}$
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  - DIS rate:  $E = 11 \text{ GeV}$  beam at  $15 \text{ deg}$  on the proton target (see also a plot).
  - The DIS rate with **SBS** =  $> 0.05 \text{ sr} \times 1 \times 10^{-32} \text{ cm}^2/\text{sr} \times 3 \times 10^{37} \text{ cm}^{-2}/\text{s} = 1.5 \times 10^4 \text{ Hz}$
  - For each  $e, e'$  event there is  $1/12$  probability of a correct hit in the neutron detector
  - For 1 sr neutron detector **Signal** ( $e, e'n_s$ ) rate is  $N_{\text{DIS}}/4\pi \sim 1/12 \Rightarrow 1.2 \times 10^3 \text{ Hz}$
  - In each  $e, e'$  event there will be some extra hits in the neutron detector:
 

| neutron rate      | $e, e'$ rate     |
|-------------------|------------------|
| $1.2 \text{ kHz}$ | $15 \text{ kHz}$ |
  - For  $32 \text{ ns}$  beam RF the probability is  $20 \text{ MHz} \times 0.032 \mu\text{s} = 0.64 \Rightarrow 15 \text{ kHz} \times 0.64 = 9.6 \text{ kHz}$  background events with a potential neutron in one RF bucket.
- $\Rightarrow$  **Signal/Background** (accidental) =  $1.2 \text{ kHz} / 9.6 \text{ kHz} = 1/8$

# EMC signal size

The window 10 ns wide for 32 ns RF structure allows us to remove high speed particles

For 1 m from the target => 33 ns (for 5 MeV) => +/-50% energy window (3 to 8 MeV)

The Signal (DIS + neutron ) statistics in 20 days  $\sim 2.1 \times 10^8 \pm 1.4 \times 10^4$

Need to measure accidental Background with high accuracy

and in 100 RF buckets = windows will collect the accidental Background mostly originating from the reaction  $D(\gamma_{q\text{-real}}, n)X$

Hit rate in the neutron detector (in such a wide window and detector of 10% efficiency) is  $100 \times 0.64 = 6.4$  per  $e, e'$  event. It will have a total statistics of  $1.7 \times 10^{11}$  with  $\pm 4 \times 10^5$

Only 1/100 of these events will be in the correct RF bucket, so background will be  $1.7 \times 10^9 \pm 4 \times 10^3$  inside the bucket with the Signal

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The Signal statistics is  $2 \times 10^8 \pm 1.5 \times 10^4$ .

The 1% size EMC effect (it corresponds to  $2 \times 10^6$  events) will be well visible

$$2 \times 10^6 / 1.5 \times 10^4 \sim 130 / 1$$

# Summary

- ❖ We propose to investigate the EMC effect in a deuteron: a ratio of the DIS on a free proton and DIS on a barely bound slow proton in the deuteron.
- ❖ This is a natural part of the SBS program at Hall C.
- ❖ The understanding of EMC will be advanced in a 20-day run.