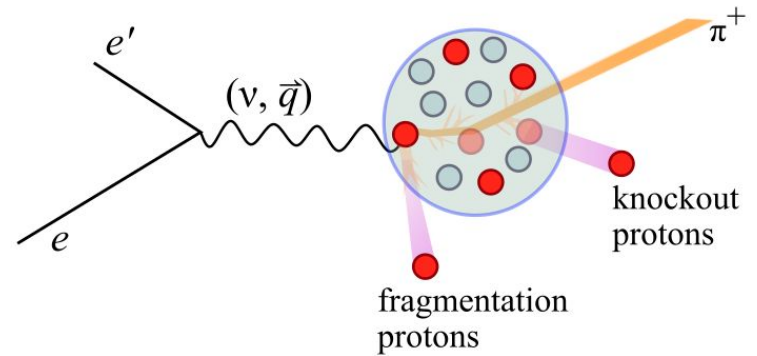
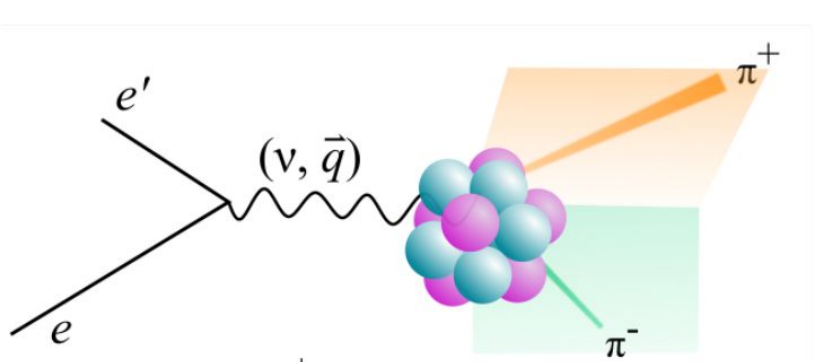


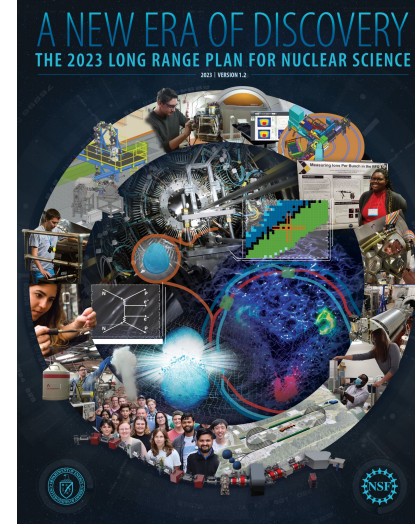
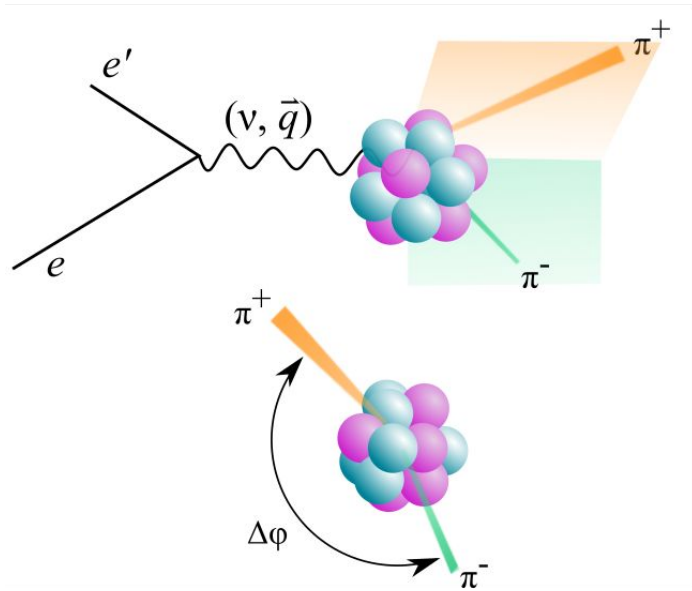
Di-hadron Correlations in eA Scattering in CLAS



Ryan Milton on behalf of Dr. Sebouh Paul

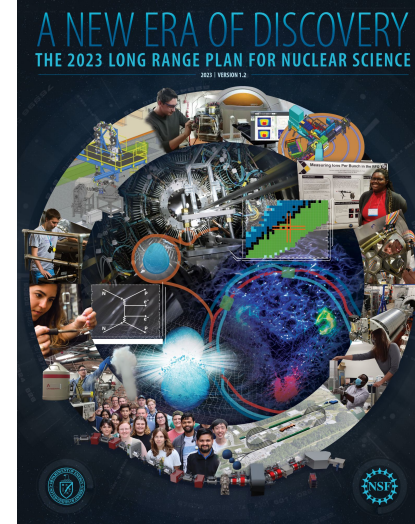
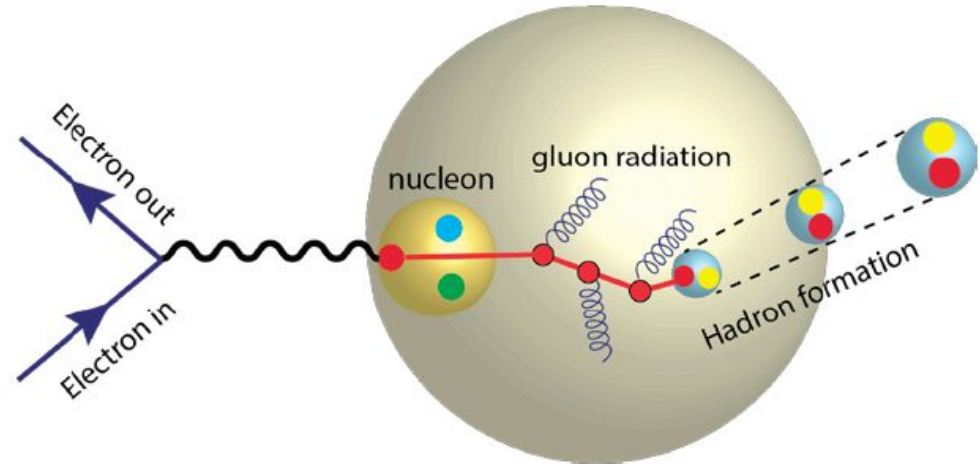
GHP2025
3/14/2025

How are the various hadrons produced in a single scattering process correlated with one another...



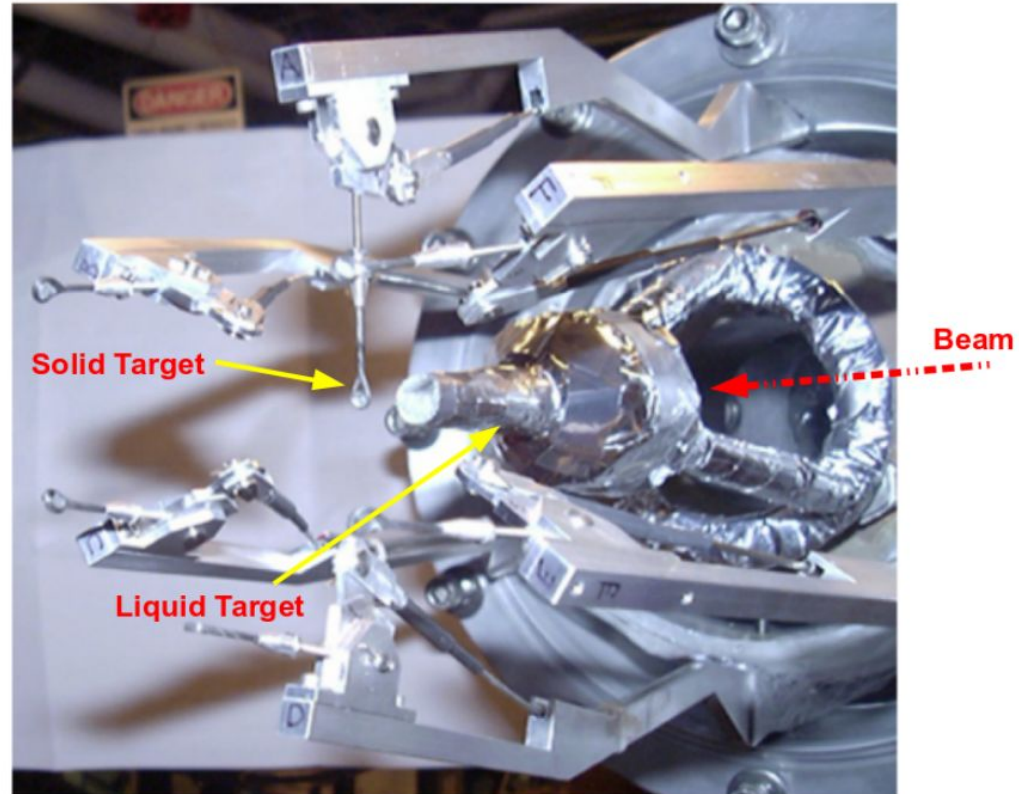
... and how does hadronization change in a dense partonic environment?

And what are the timescales of color neutralization and hadron formation?



CLAS EG2 experiment

- 5 GeV electron beam
- Liquid (LD2) + Solid dual target system
 - Solids: C, Al, Pb, Fe, Sn



Event topologies

Di-pion:

- High energy π^+ and low energy π^-

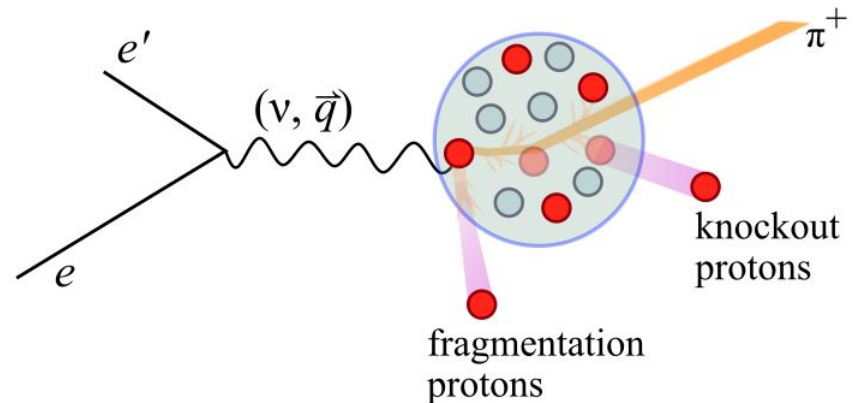
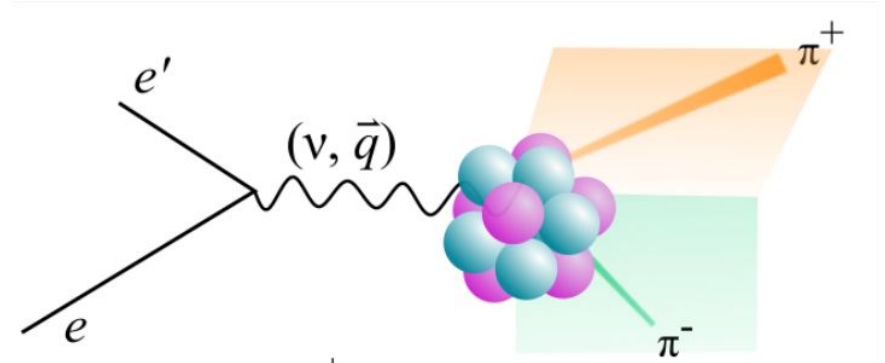
<https://doi.org/10.1103/PhysRevLett.129.182501> Phys. Rev. Lett. 129, 182501

<https://doi.org/10.1103/PhysRevC.111.035201>, Phys. Rev. C **111**, 035201

Pion+proton

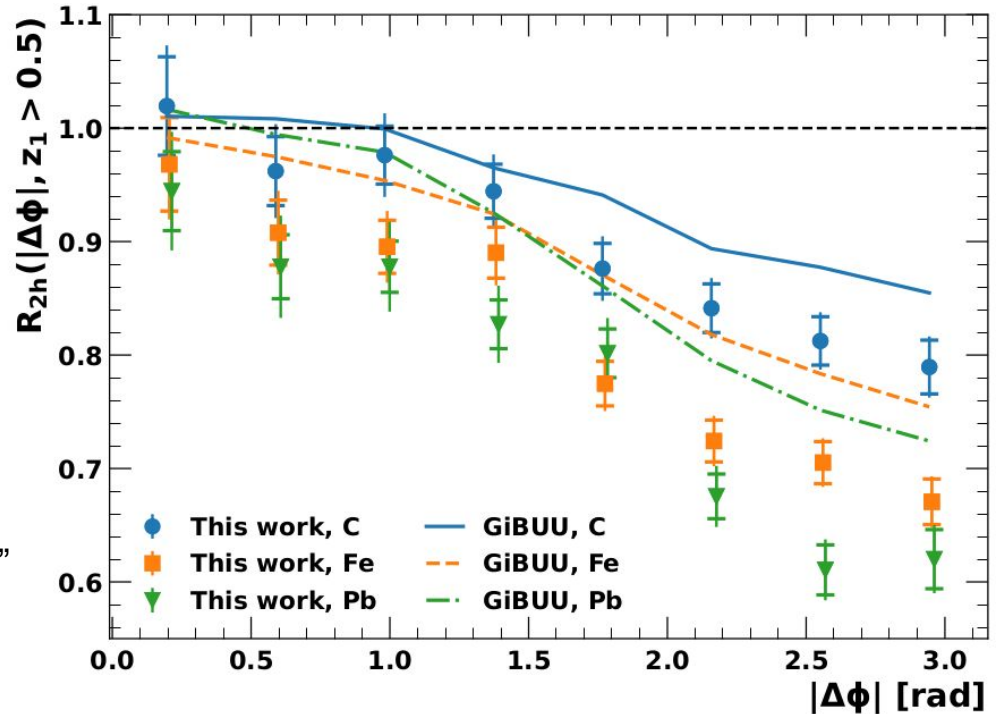
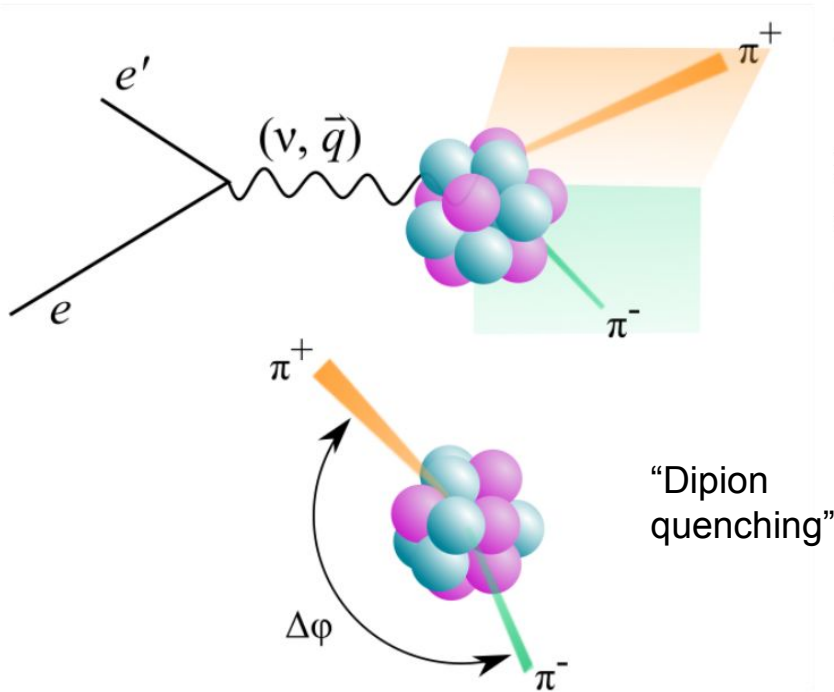
- High energy π^+ and knocked-out proton (or proton from fragmentation)

Analysis note in second round of review



Earlier results ...

Discovery of back-to-back pion suppression in eA scattering



<https://doi.org/10.1103/PhysRevLett.129.182501> Phys. Rev. Lett. 129, 182501

How are the various hadrons produced in a scattering process correlated with one another ?

Our observable: correlation function

$$C(\Delta\phi) = C_0 \frac{1}{N_{eh}} \frac{dN_{ehh}}{d\Delta\phi}$$

- N_{eh} is the number of events with scattered electron and a “leading hadron” ($z=E_h/\nu > 0.5$)
- N_{ehh} is the number of “subleading hadrons” in those events

Dihadron azimuthal correlations in deep-inelastic scattering off nuclear targets

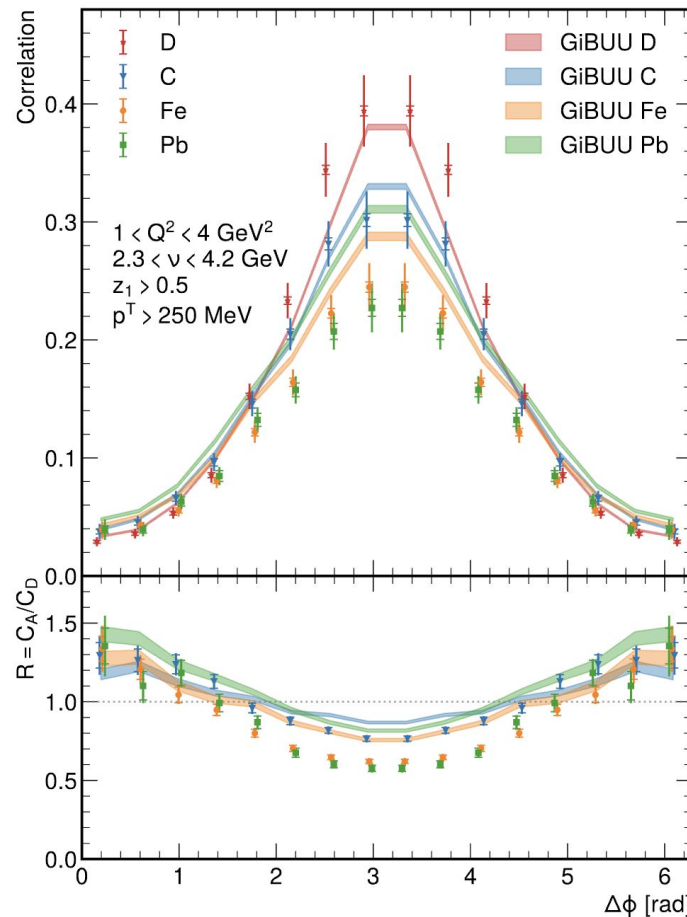
[S. J. Paul](#)⁴, [S. Morán](#)⁴, [M. Arratia](#)^{4,*}, [W. K. Brooks](#)^{43,42}, [H. Hakobyan](#)⁴³, [A. El Alaoui](#)⁴³, [P. Achenbach](#)⁴², [J. S. Alvarado](#)²⁴, [W. R. Armstrong](#)¹ et al. (CLAS Collaboration)

Show more

Phys. Rev. C **111**, 035201 – Published 5 March, 2025

DOI: <https://doi.org/10.1103/PhysRevC.111.035201>

Leading π^+ , subleading π^-

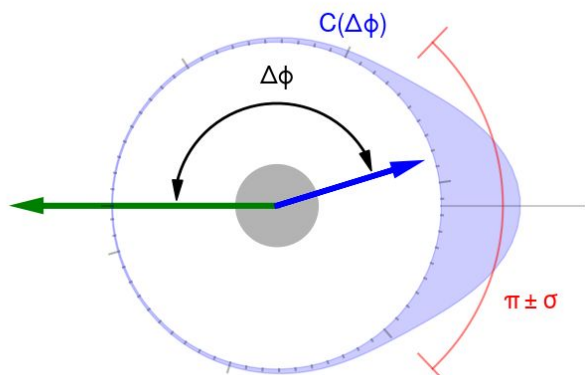


Derived quantities: RMS widths and broadenings

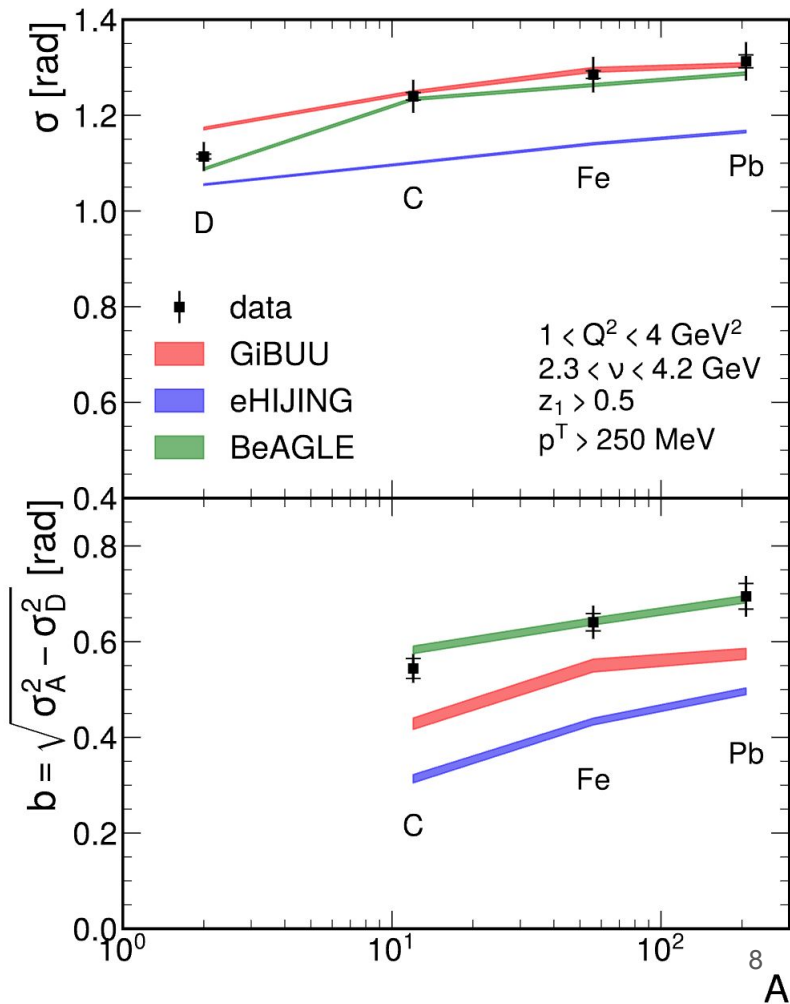
RMS width:

$$\sigma = \sqrt{\frac{\int_0^{2\pi} d\Delta\phi C(\Delta\phi)(\Delta\phi - \pi)^2}{\int_0^{2\pi} d\Delta\phi C(\Delta\phi)}}$$

Broadening: $b = \sqrt{\sigma_A^2 - \sigma_D^2}$

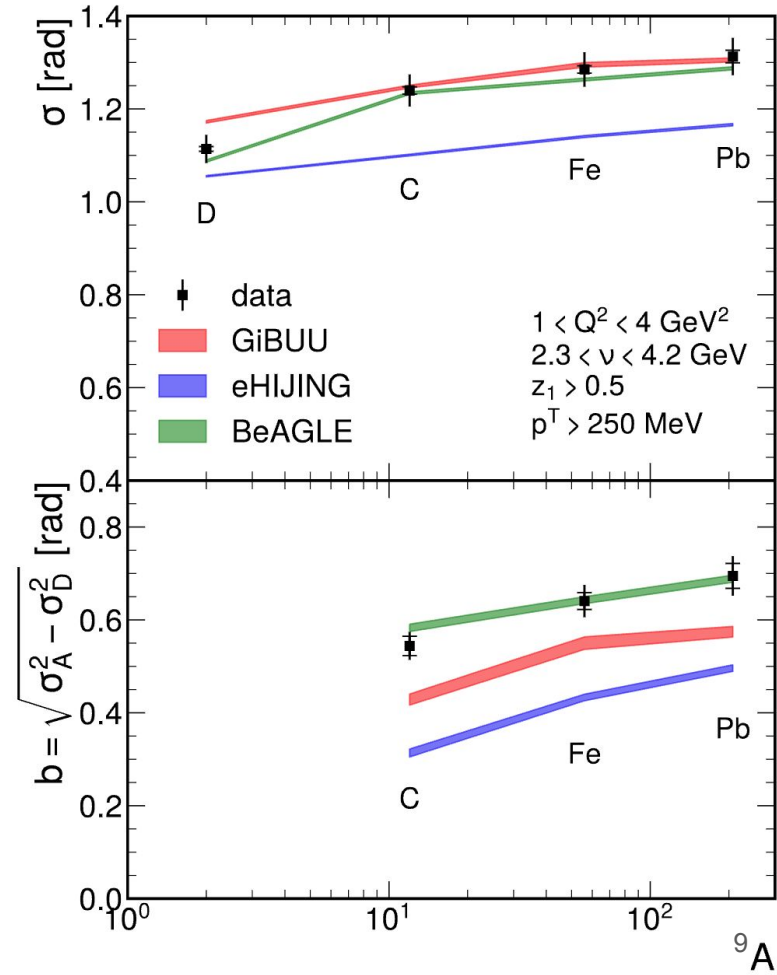


Leading π^+ , subleading π^-



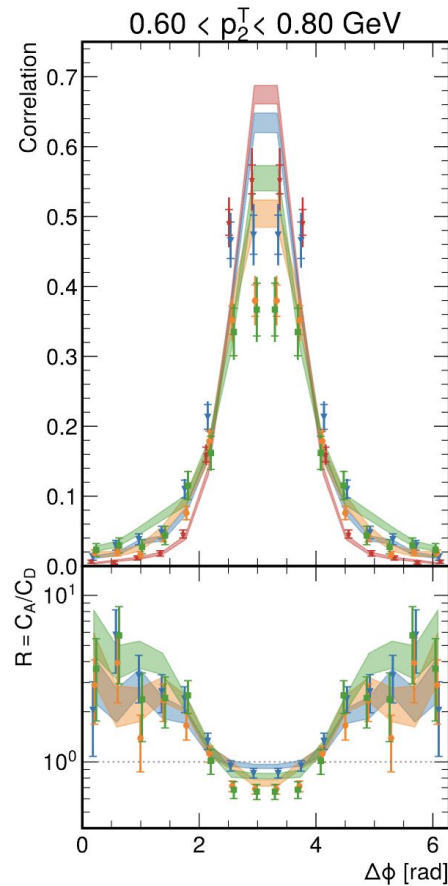
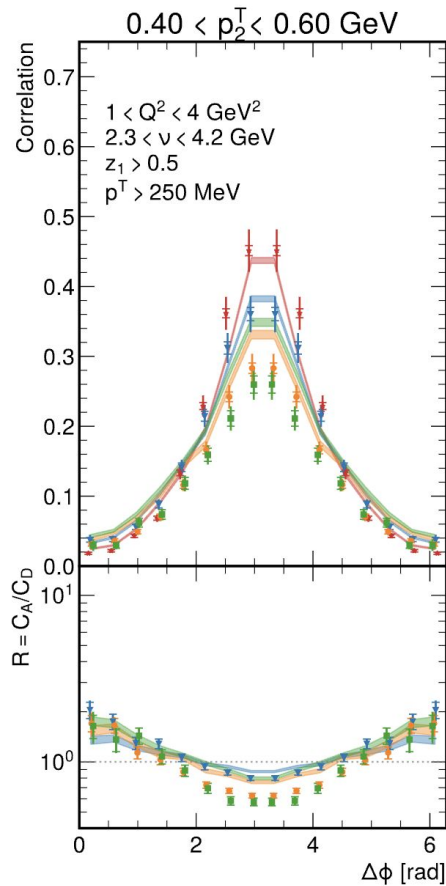
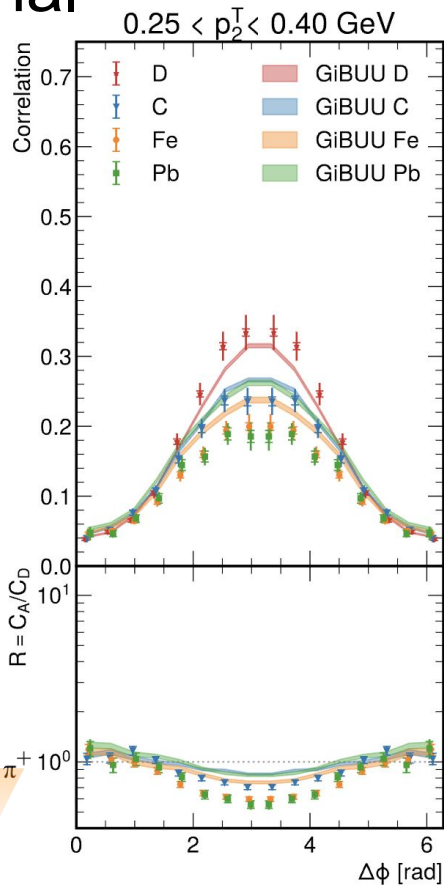
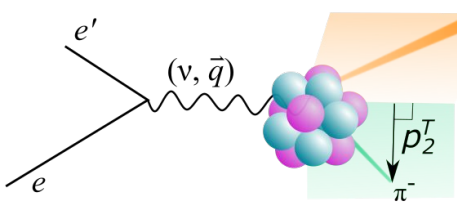
Derived quantities: RMS widths and broadenings

- RMS widths and broadening increase with larger nuclei with weak, log-like A dependence.
- Most of these models are new, developed for the EIC rather than JLab energies, yet predict this trend correctly



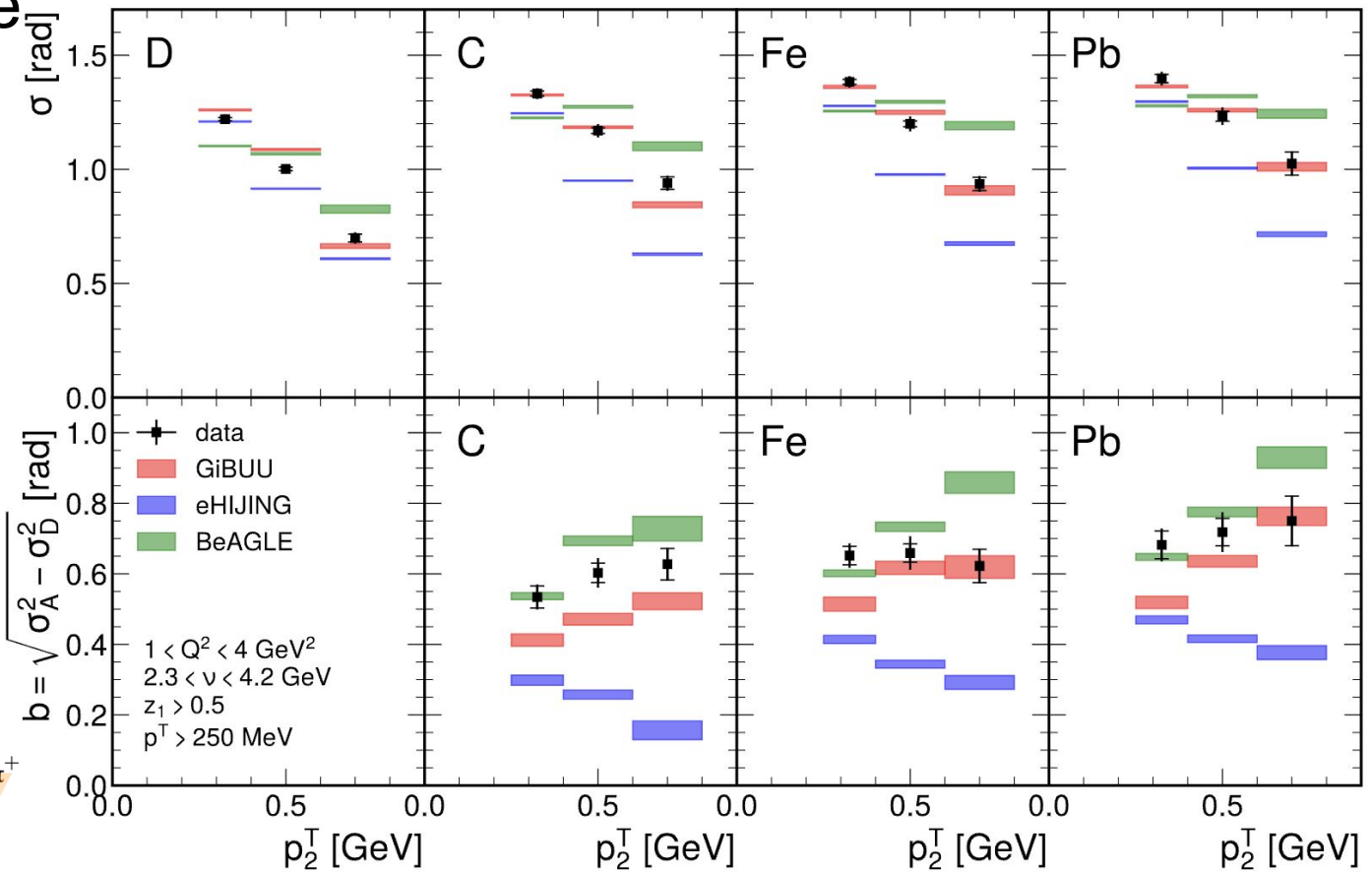
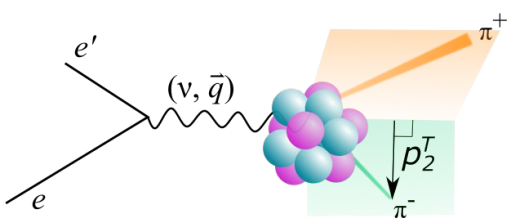
Multi-dimensional measurements

- At large p_2^T , the correlation function peak becomes more narrow
- Nuclear effects strongly depend on p_2^T



p_2^T dependence

- Models predict different trends in the broadening vs p_2^T , which demonstrates the discriminating power of these measurements

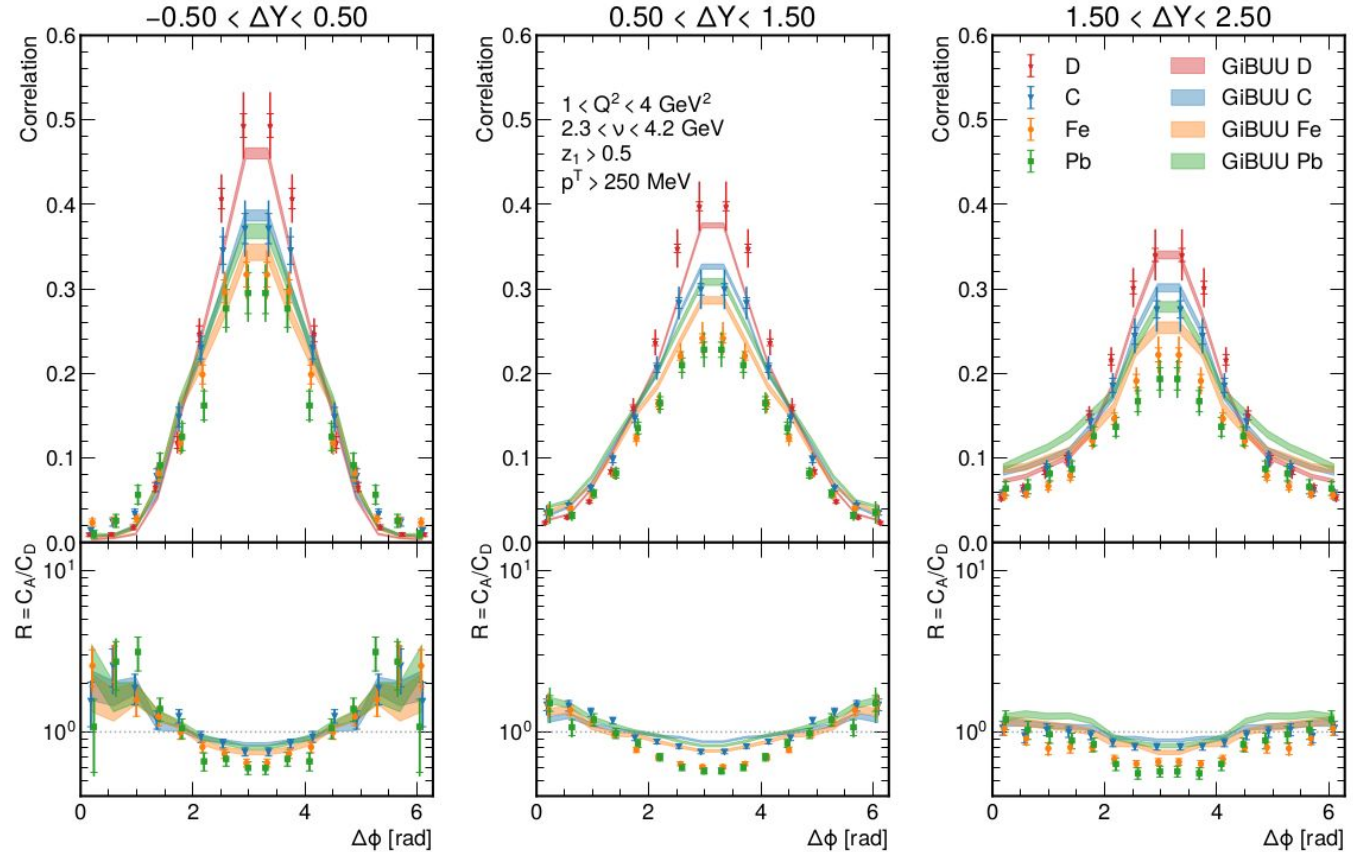


Multi-dimensional measurements

- See opposite trend with ΔY
- Pions with high-rapidity are less correlated than those with lower ΔY

$$\Delta Y = Y_{\pi^+} - Y_p$$

$$Y = \frac{1}{2} \log \frac{E + p_z}{E - p_z}$$

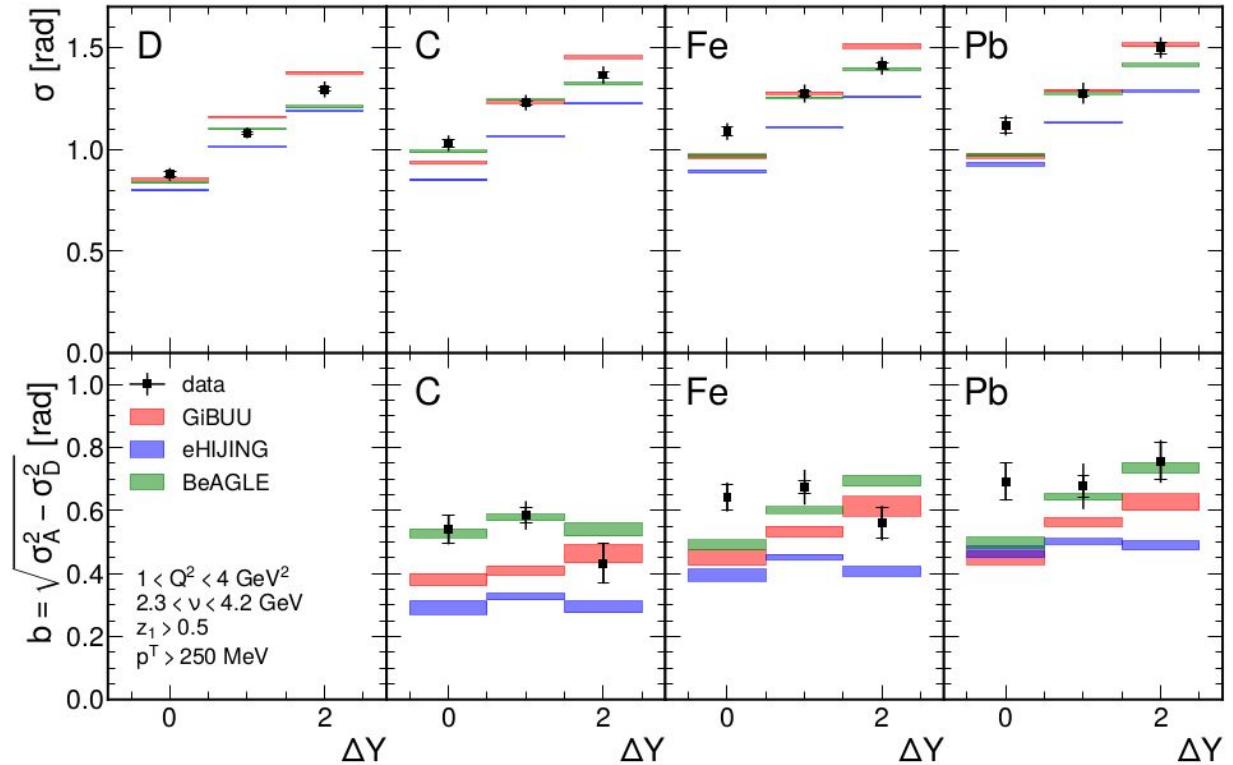


ΔY dependence

- Models predict different trends in the broadening vs ΔY

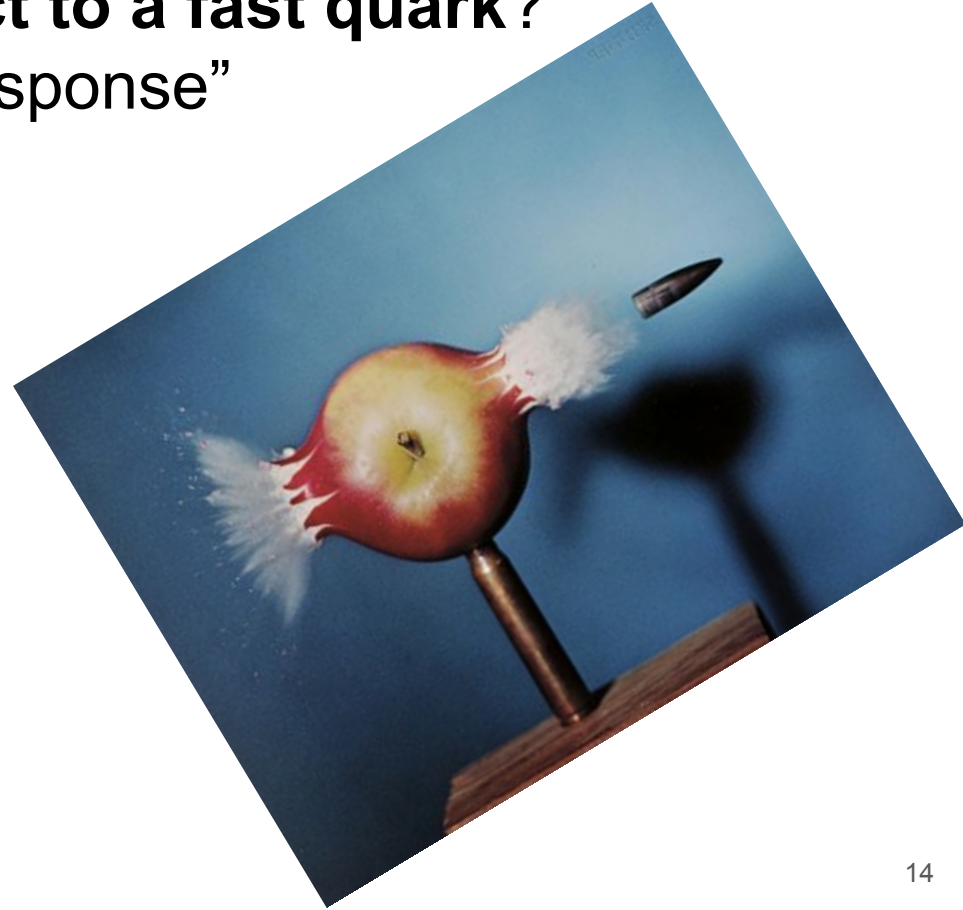
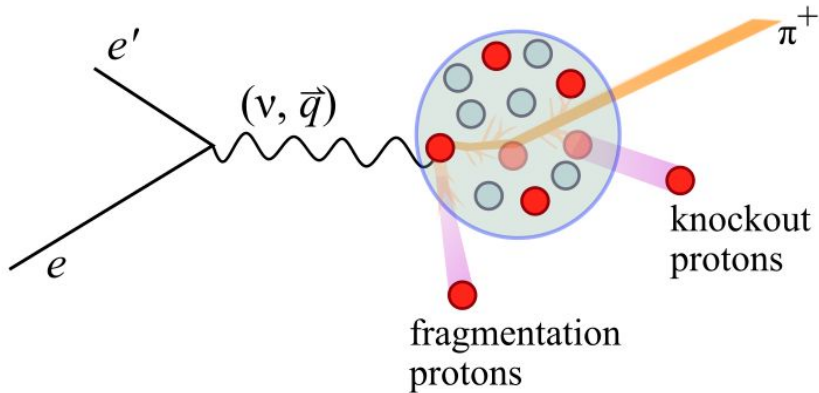
$$\Delta Y = Y_{\pi^+} - Y_p$$

$$Y = \frac{1}{2} \log \frac{E + p_z}{E - p_z}$$



How does the nucleus react to a fast quark?

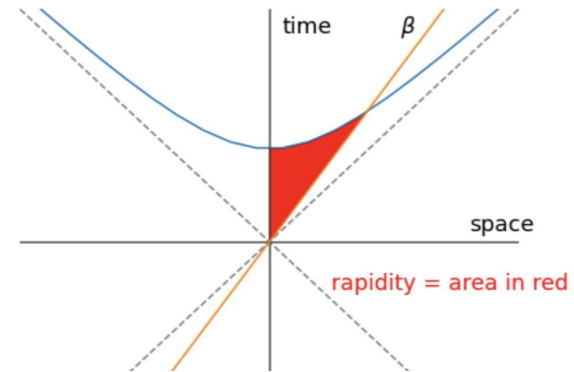
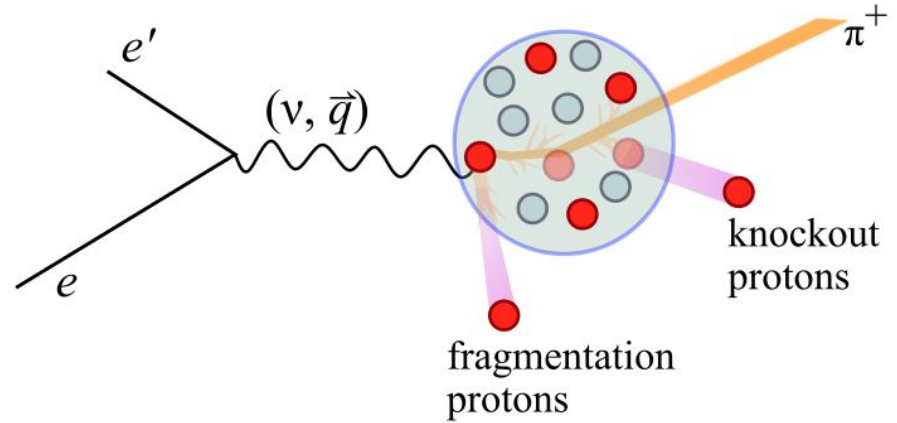
Protons proxy for “nuclear response”



Pion-proton analysis

- Leading π^+ and a proton
- Two means of proton production:
 - Knockout (requires much less energy than secondary pion production)
 - Fragmentation of struck nucleon
- Correlation function differential in $\Delta\phi$ and ΔY

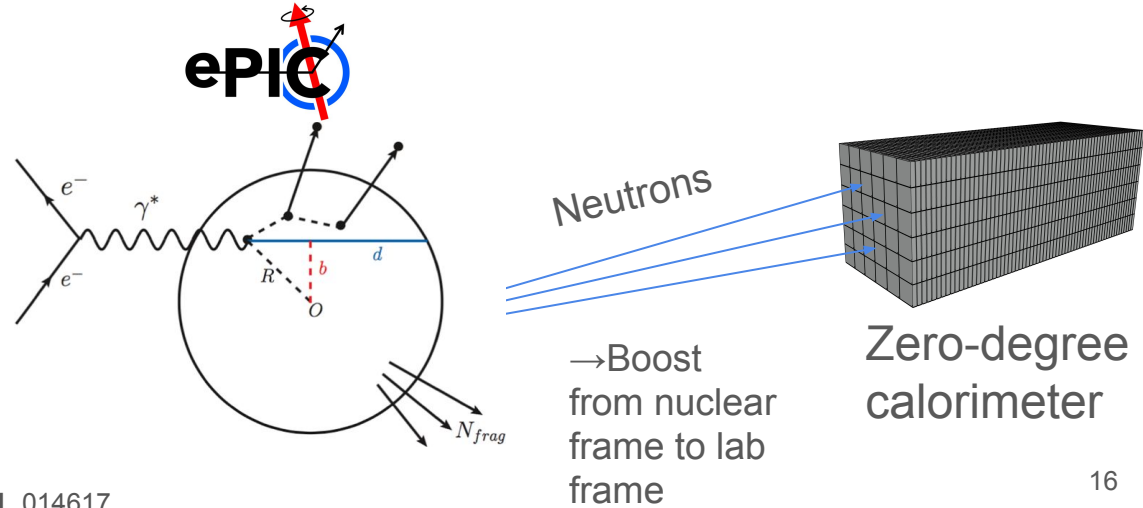
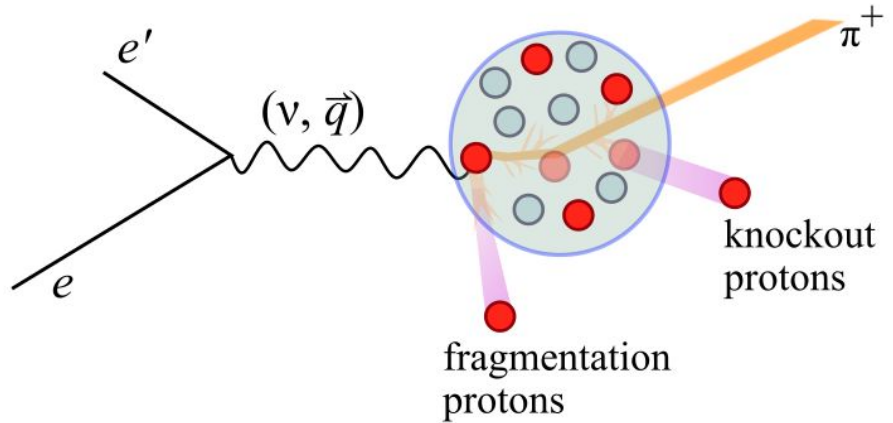
$$\Delta Y = Y_{\pi^+} - Y_p$$
$$Y = \frac{1}{2} \log \frac{E + p_z}{E - p_z}$$



“Slow” knockout protons

- “Slow” knockout protons in this analysis are analogous to “slow neutrons” in planned studies with the EIC’s Zero-Degree Calorimeter
 - Slow nucleons in an event can proxy the path length of the cascade through the nucleus*
 - Measurements of protons at JLab can feed into models used for the EIC, test MC generators.

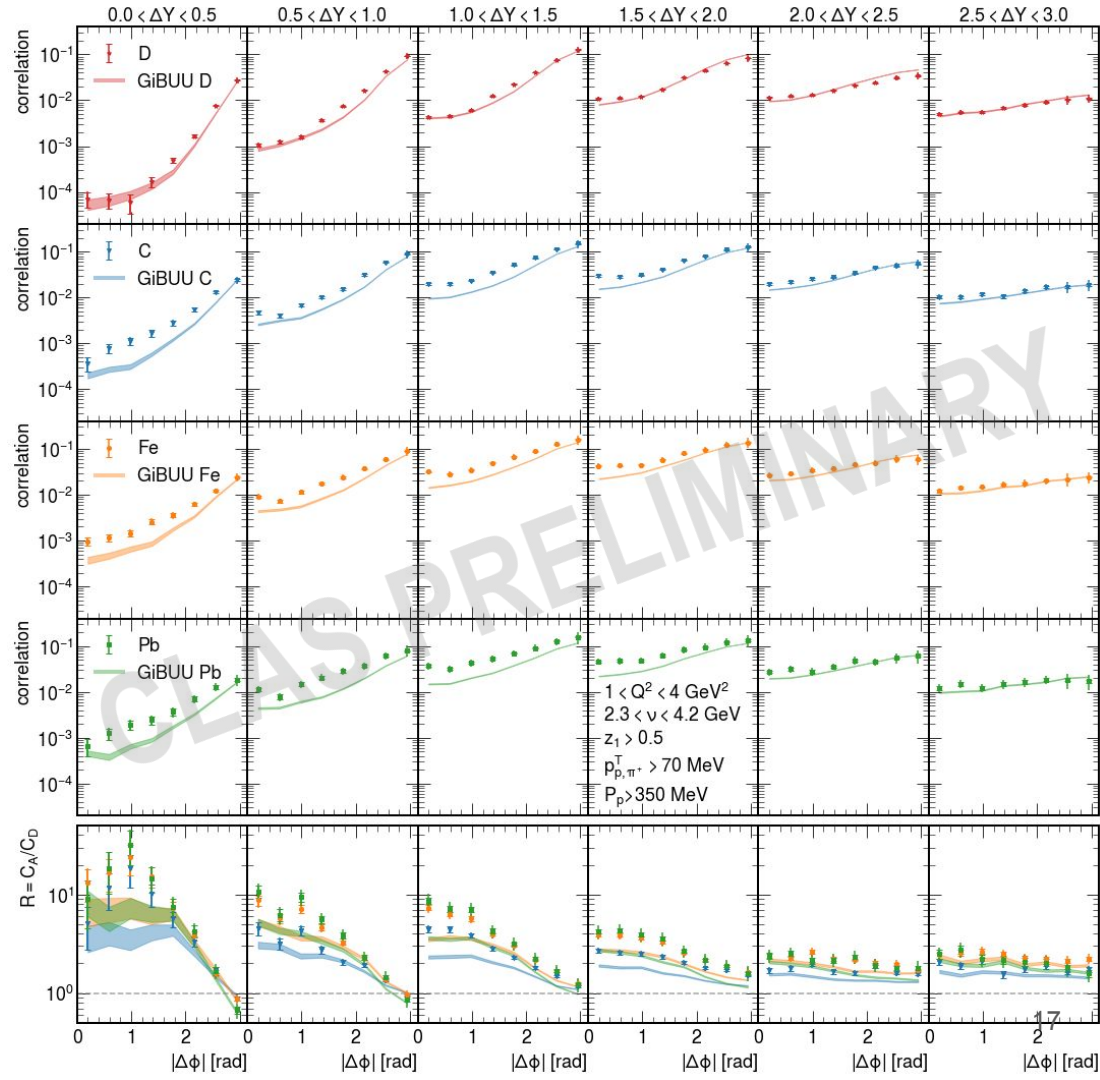
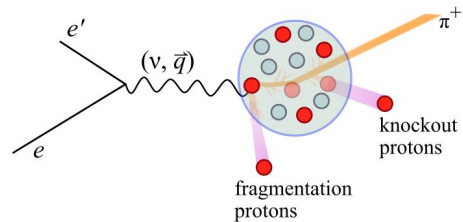
Jefferson Lab



*Phys. Rev. C **106**, 045202, Phys. Rev. C **101**, 014617

Correlation plot

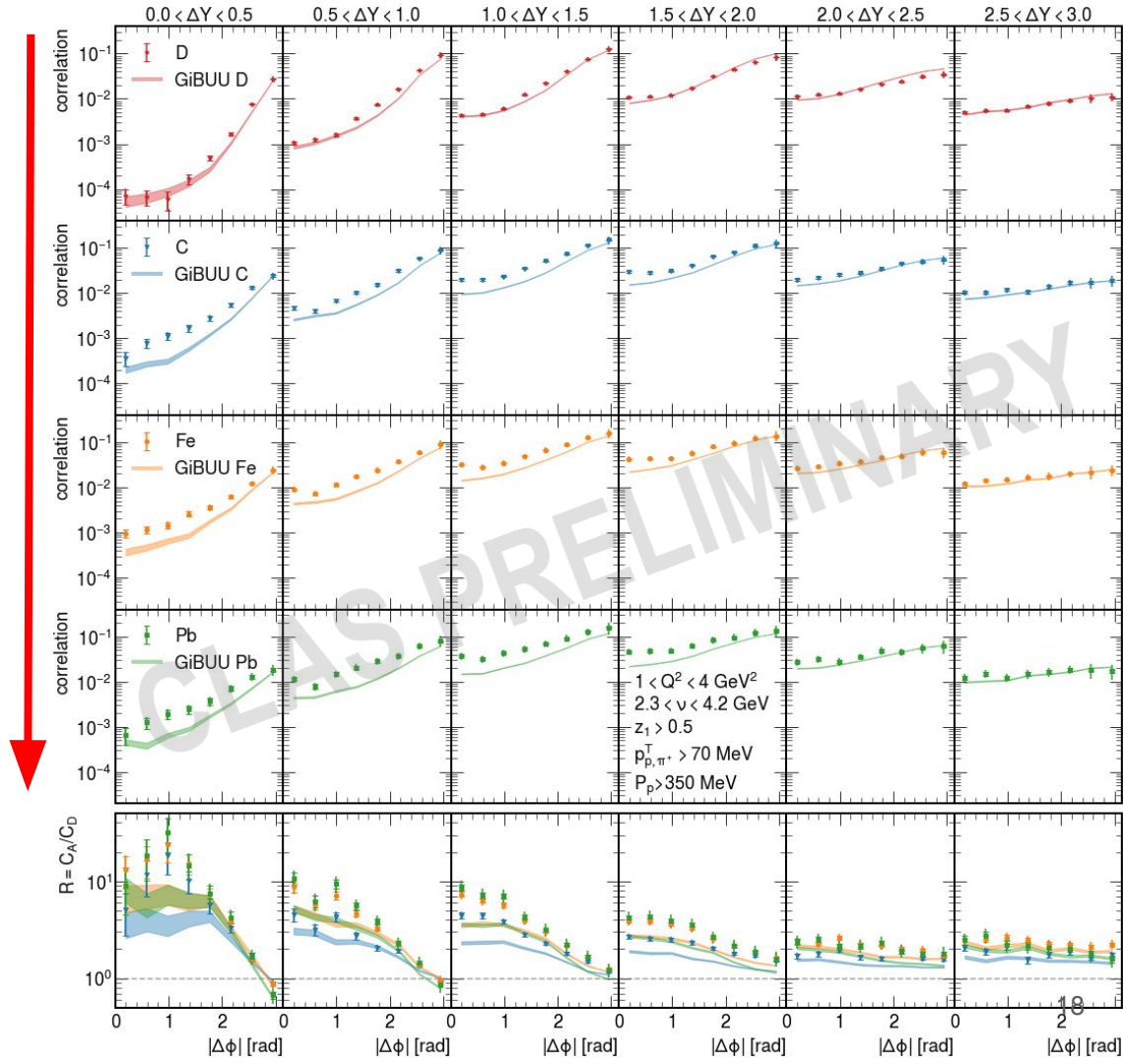
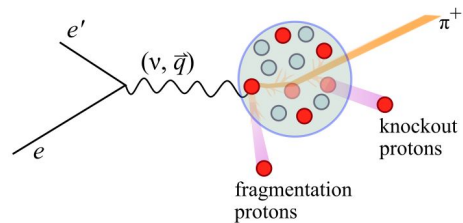
- $|\Delta\phi|$ for the x axis
- ΔY in columns
- Target types as rows
- Bottom row: A/D ratio of correlation functions.



**Wider
correlation
functions for
heavier nuclei**

$$\Delta Y = Y_{\pi^+} - Y_p$$

$$Y = \frac{1}{2} \log \frac{E + p_z}{E - p_z}$$

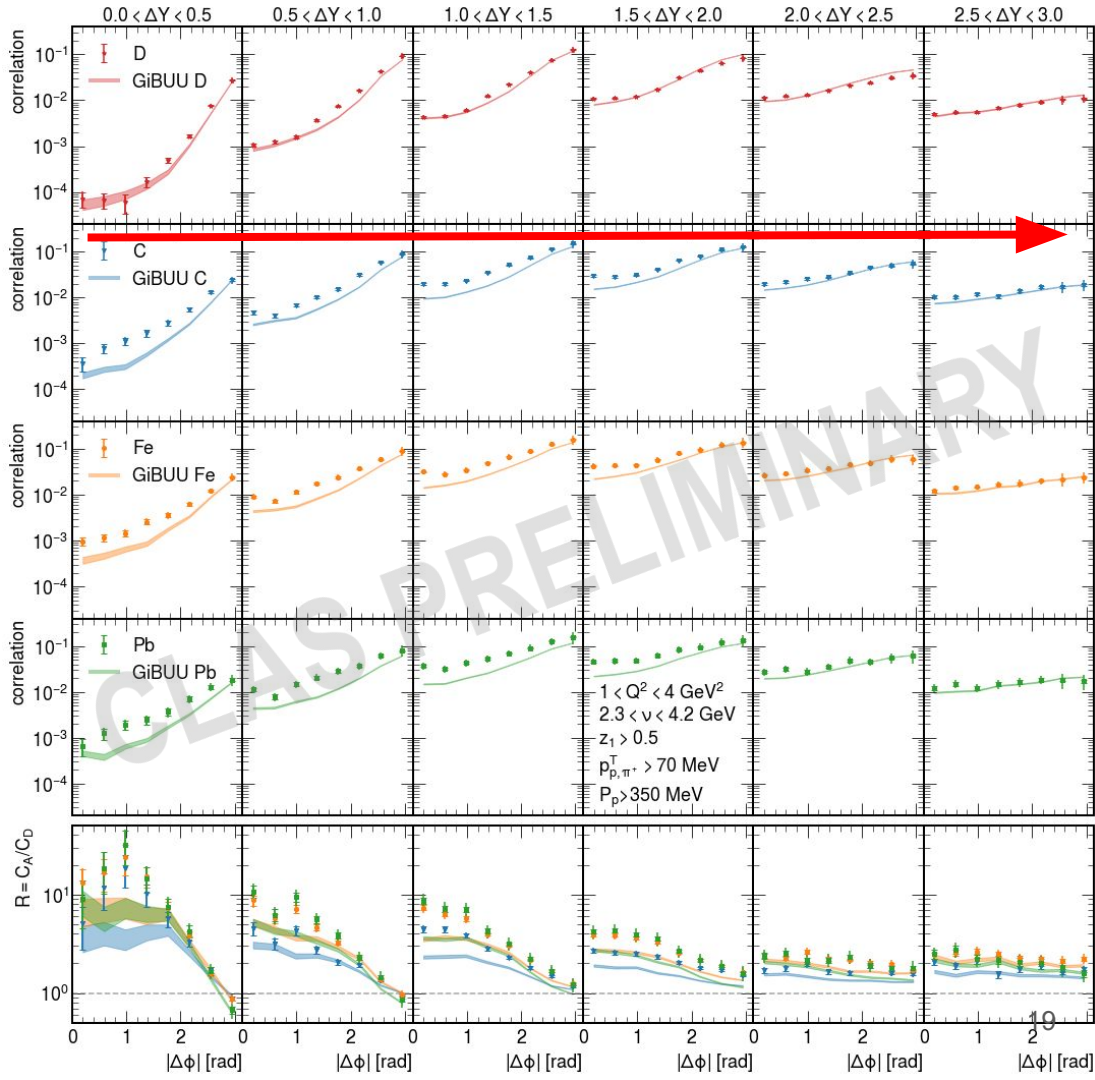
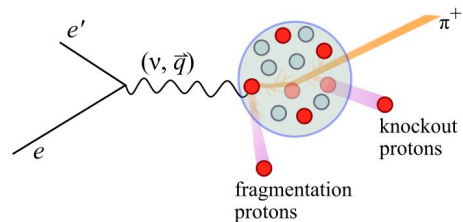


Correlation functions also become wider at larger ΔY

Peaks have largest values at $1.0 < \Delta Y < 1.5$

$$\Delta Y = Y_{\pi^+} - Y_p$$

$$Y = \frac{1}{2} \log \frac{E + p_z}{E - p_z}$$

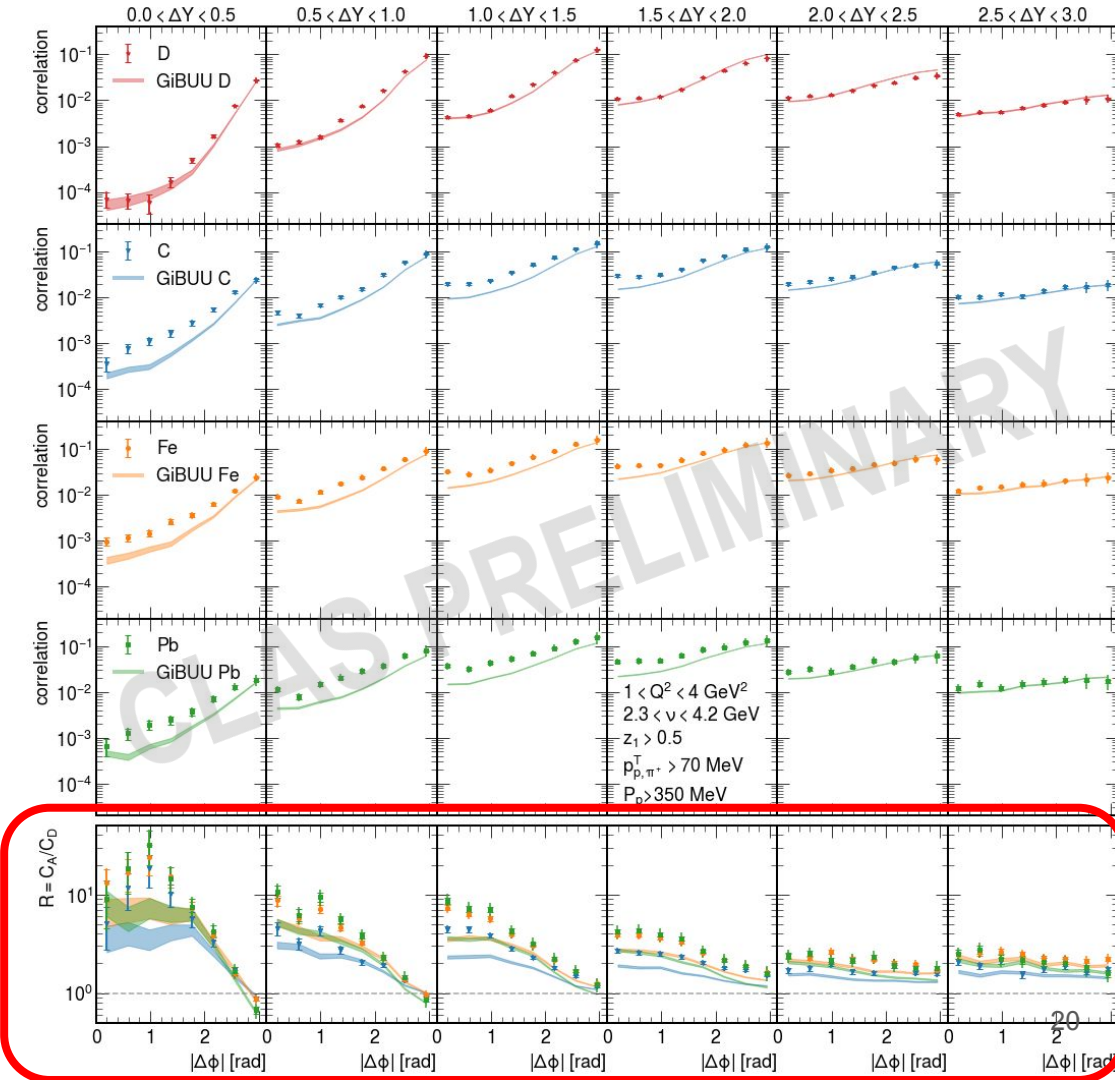
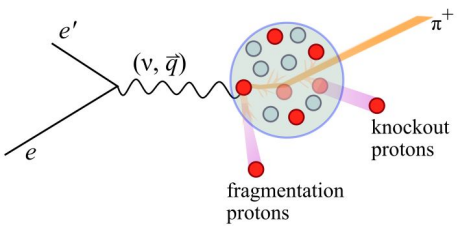


$R = C_A / C_D > 1$ for most bins:

More protons are produced per leading pion in nuclei than in deuterium

$$\Delta Y = Y_{\pi^+} - Y_p$$

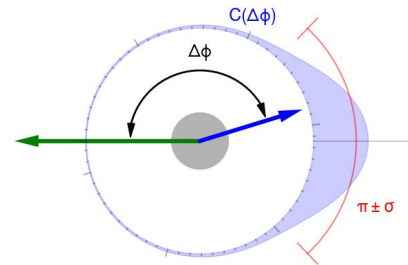
$$Y = \frac{1}{2} \log \frac{E + p_z}{E - p_z}$$



Widths and broadenings

- Widths increase as a function of A and also ΔY

$$\sigma = \frac{\sum_{i \in \text{bins}} C(\Delta\phi_i)(\Delta\phi_i - \pi)^2}{\sum_{i \in \text{bins}} C(\Delta\phi_i)}$$

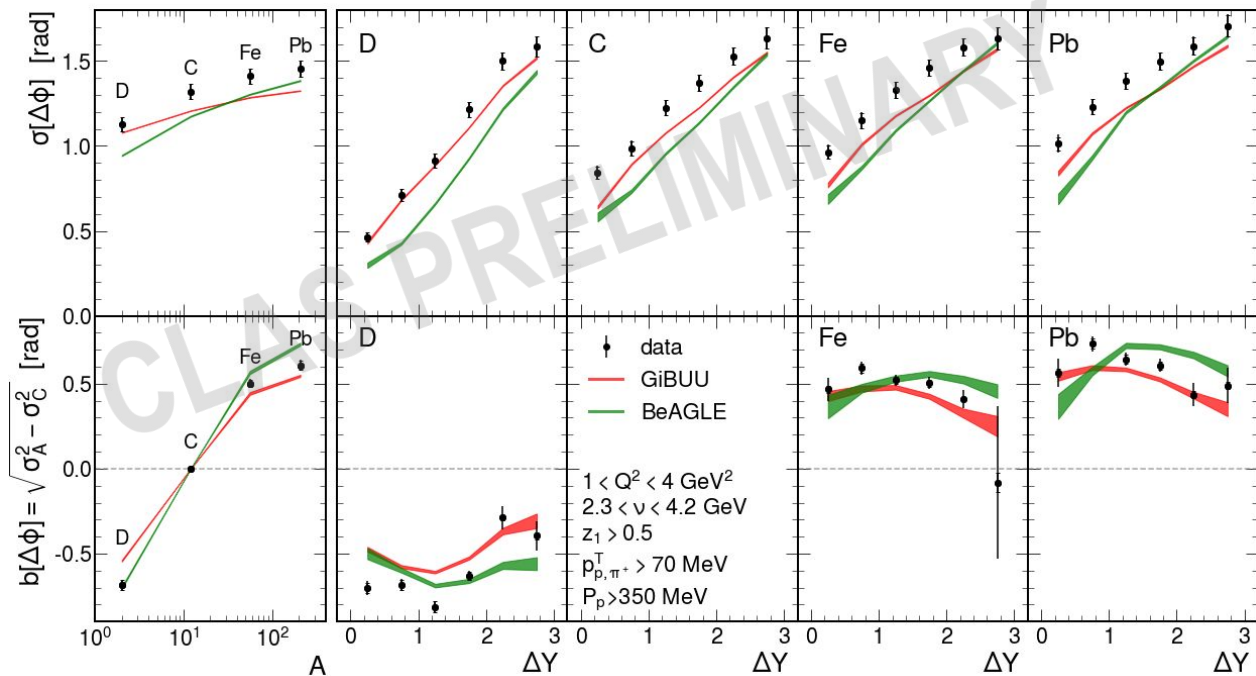


- Trends also reproduced by GiBUU and BeAGLE models

- Broadenings defined with respect to carbon:

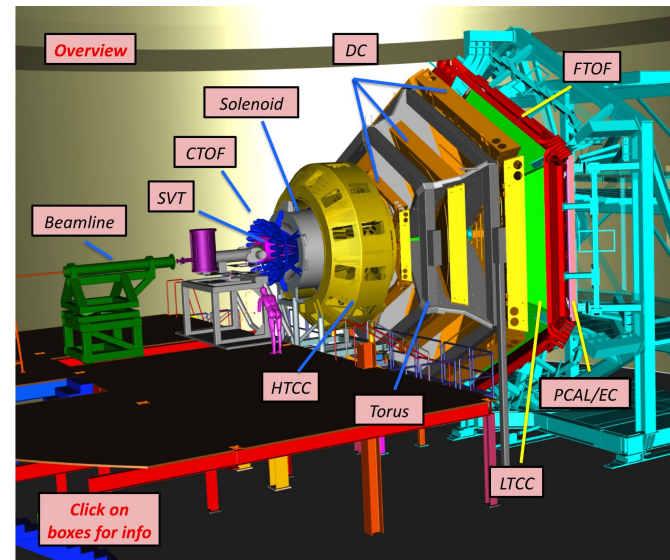
- Negative for deuterium

$$b = \sqrt{\sigma_A^2 - \sigma_C^2}$$

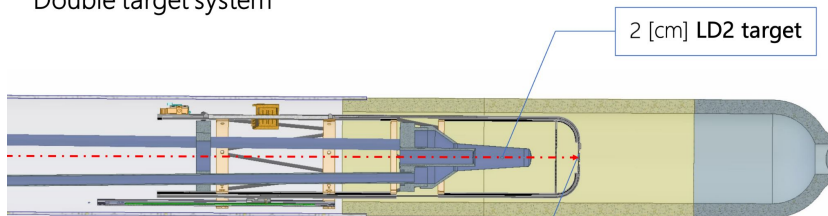


Follow-up measurements with upgraded CLAS12 (Run Group E)

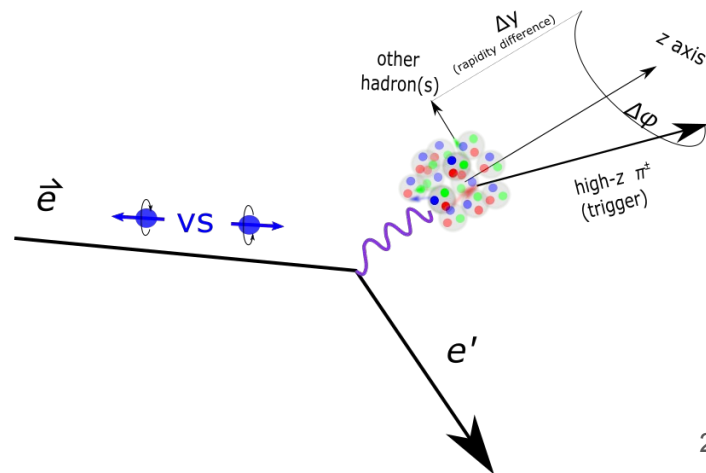
- Higher luminosity
- Higher beam energy
- Polarized electron beam
 - Can measure beam-spin asymmetries
- Larger variety of targets



Double target system



- Carbon (C-12)
- Aluminum (Al-27)
- Copper (Cu-63)
- Tin (Sn-120)
- Lead (Pb-208)



Summary

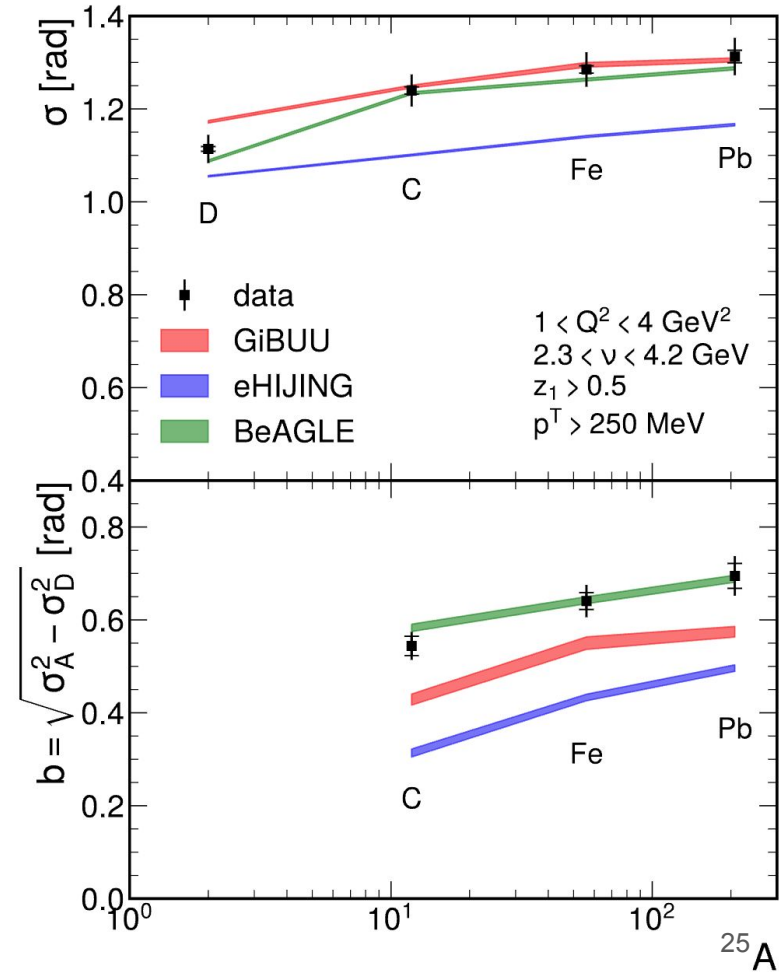
- Di-hadron correlations represents a new tool to explore how hadronization is affected by nuclei
- Current and future analyzes with RGE will seek to answer some of the questions raised in the 2023 LRP
 - How are the various hadrons produced in a single scattering process correlated with one another and how does hadronization change in a dense partonic environment?
 - What are the timescales of color neutralization and hadron formation?



Backup slides

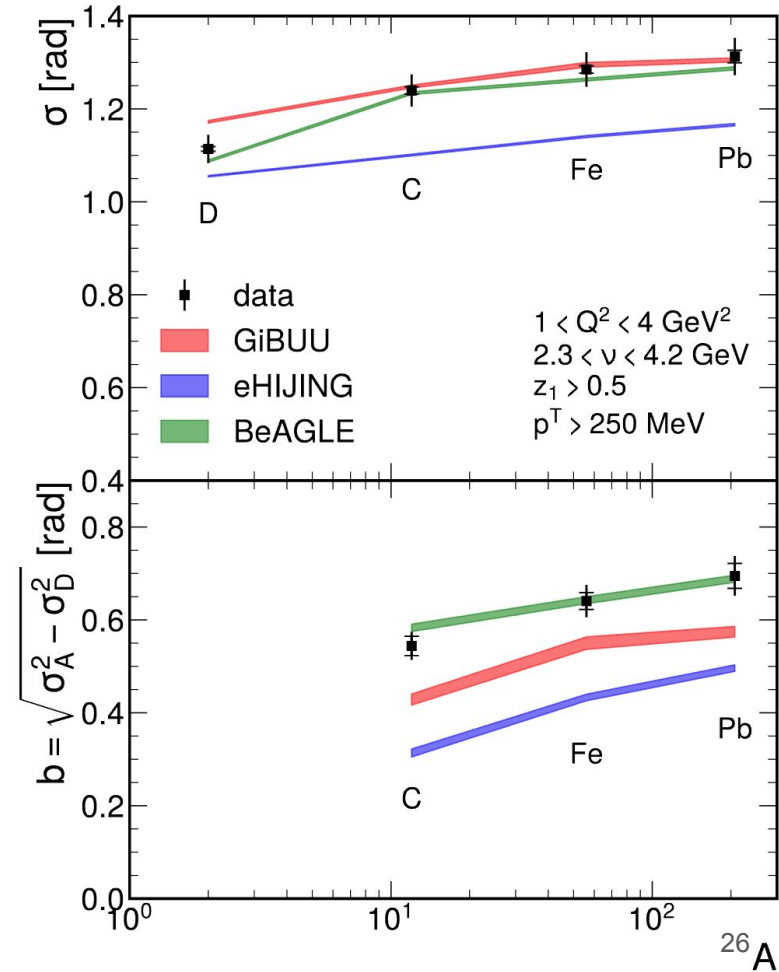
Models

- GiBUU
 - Final-state interactions
 - Absorption
 - Hadron production mechanisms
 - Pre-hadron degrees of freedom
 - Color transparency
 - Nuclear shadowing



Models

- eHIJING
 - Based on Pythia8
 - Interaction between hadrons and the nuclear medium proportional to the nuclear TMD PDF of gluons.



Models

- BeAGLE

- Mixture of components from multiple generators
 - Primary interaction (Pythia6)
 - Nuclear remnant decay/de-excitation (FLUKA)
 - Intranuclear cascade (DPMJet)
 - Geometric density of nucleons (PyQM)
 - Nuclear parton distribution functions (LHAPDF5)

