



清华大学

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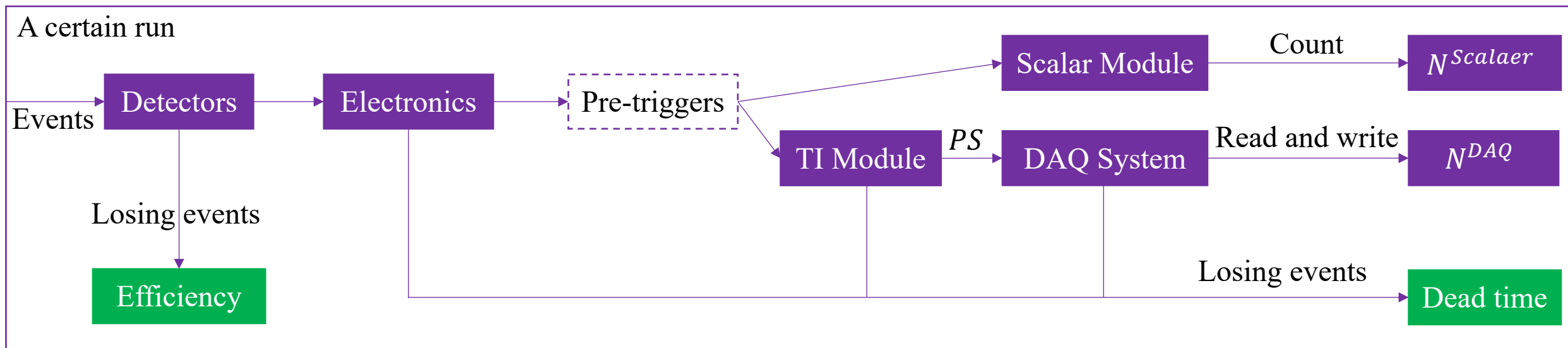
Deadtime and Efficiency

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NPS Collaboration Meeting 07/18/2024



■ Deadtime and Efficiency



So, for a certain run, the average dead time for the i th trigger can be expressed as:

$$DT_i = 1 - \frac{PS_i \cdot N_i^{DAQ}}{N_i^{Scalar}}$$

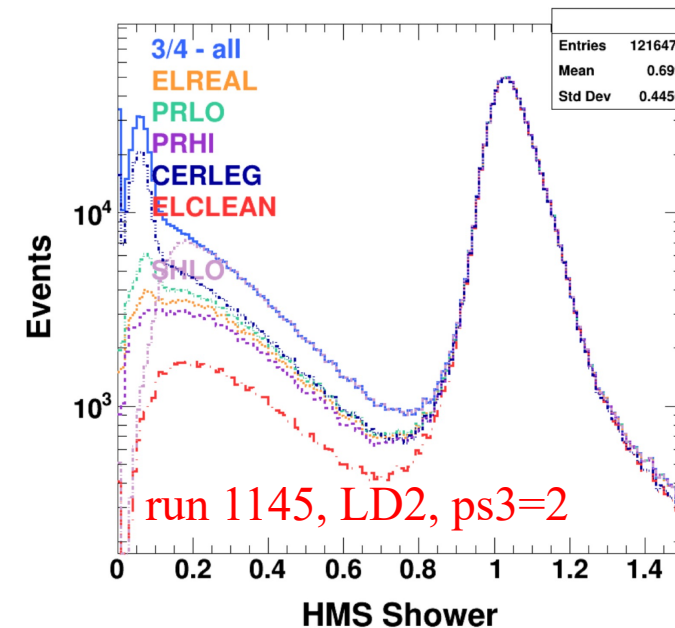
The equation is annotated with boxes and arrows:

- A box labeled "Dead time" has an arrow pointing to DT_i .
- A box labeled "Pre-scale factors" has an arrow pointing to PS_i .
- A box labeled "Counts" has an arrow pointing to N_i^{DAQ} .
- Another box labeled "Counts" has an arrow pointing to N_i^{Scalar} .

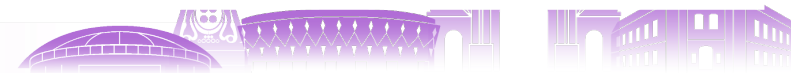
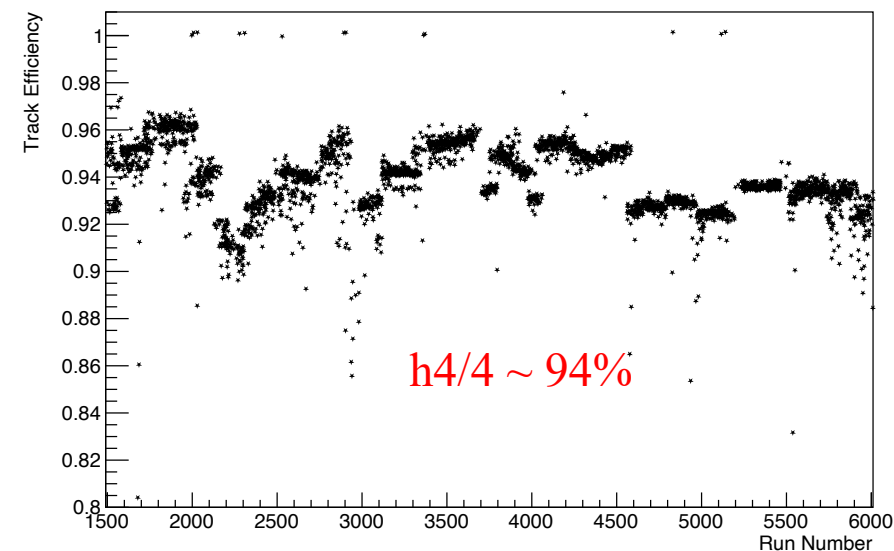
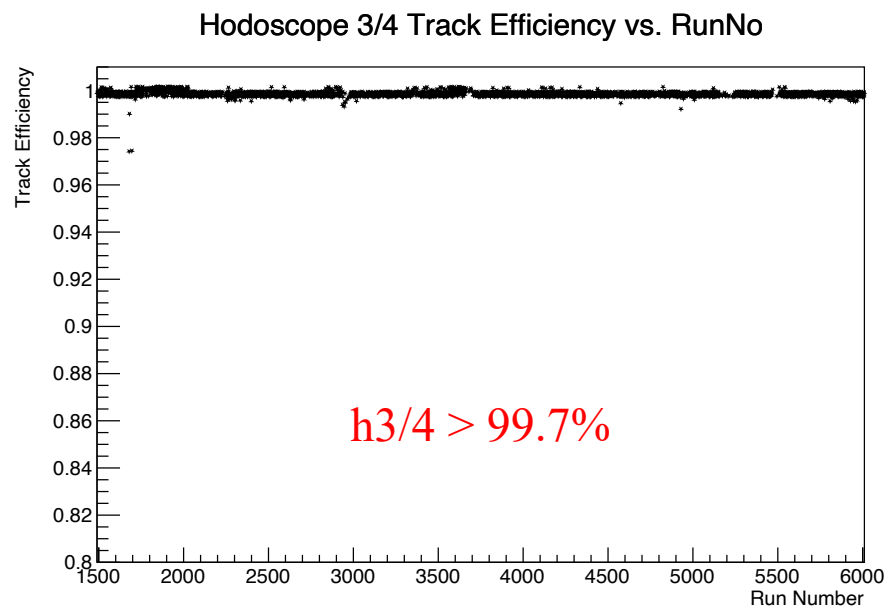


Pre-trigger List

- T1: NPS cluster trigger (VTP 1 Cluster OR VTP 2 Cluster OR delayed EDTM)
- T2: NPS cosmic (NPS cosmic OR LED)
- T3: HMS h3/4
- T4: HMS hEL-REAL
- T5: (T1) AND (T3)
- T6: (T1) AND (T4)

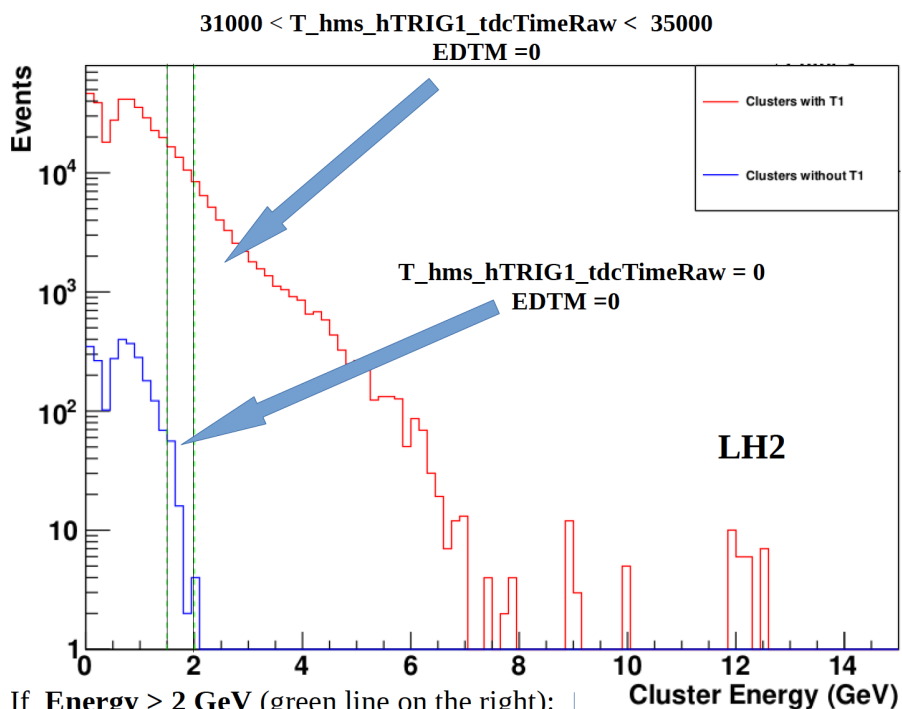


Hodoscope 4/4 Track Efficiency vs. RunNo



NPS T1 efficiency

- Kinematics : Kin_x50_4 (HMS momentum : -5.253, HMS = 16.917 deg, SHMS = 31.747 deg and NPS = 14.447)
- Taking in account only the highest energy cluster in each event



If Energy > 2 GeV (green line on the right):

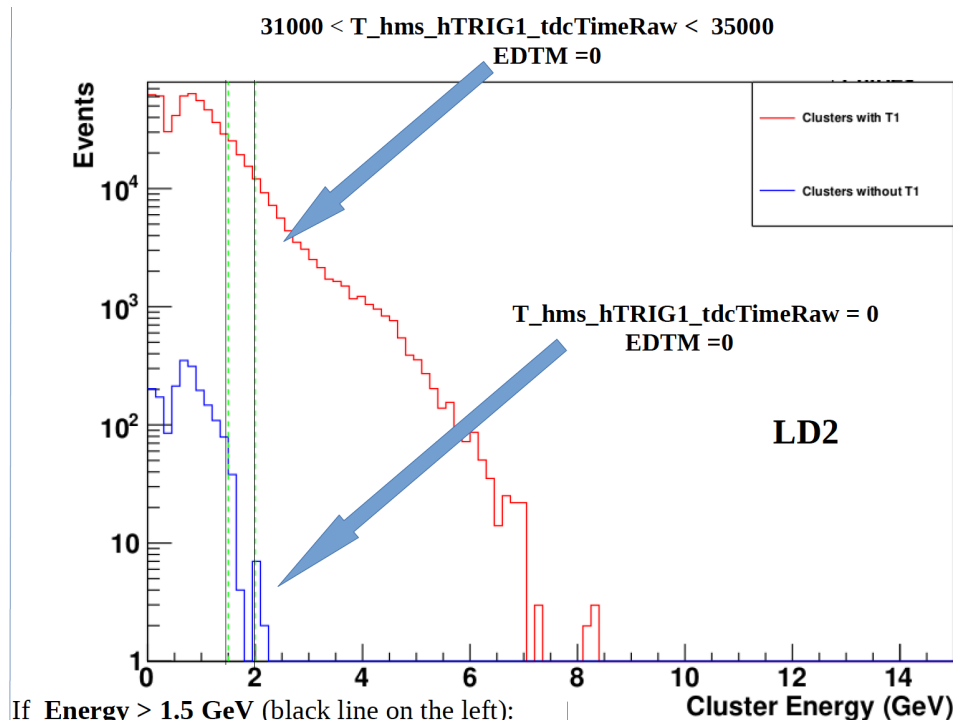
- 14097 events **with T1**
- 1 events **without T1**
- EFFICENCY = 99.9929 % ± 0.0084

If Energy > 1.5 GeV (Black line on the left):

- 30016 events **with T1**
- 46 events **without T1**
- EFFICENCY = 99.8469 % ± 0.0057

No cuts on energy :

- 405614 events **with T1**
- 2491 events **without T1**
- EFFICENCY = 99.3896 % ± 0.0015



If Energy > 1.5 GeV (black line on the left):

- 37283 events **with T1**
- 25 events **without T1**
- EFFICENCY = 99.9329 % ± 0.0051

If Energy > 2 GeV (green line on the right):

- 16945 events **with T1**
- 1 event **without T1**
- EFFICENCY = 99.9940 % ± 0.0076

No cuts on energy :

- 610466 events **with T1**
- 1918 events **without T1**
- EFFICENCY = 99.6867 % ± 0.0012

- 13 runs on LH2
- 12 runs on LD2
- Trigger: T3 (h3/4)



■ Several ways to estimate the deadtime

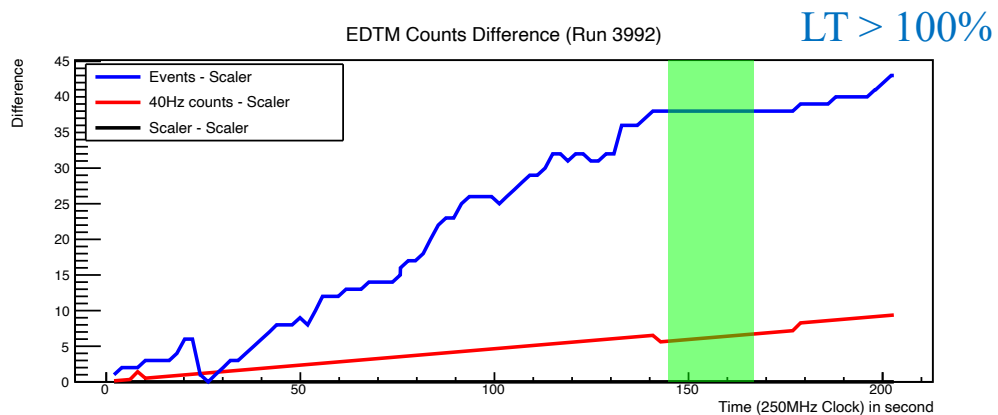
1. EDTM deadtime
 - TI / Computer deadtime
 - Electronics (discriminator) deadtime
2. Event time difference distribution
 - TI / Computer deadtime
3. TI live time (already exists in the report files)
 - TI / Computer deadtime

The deadtime for NPS part is not estimated yet.

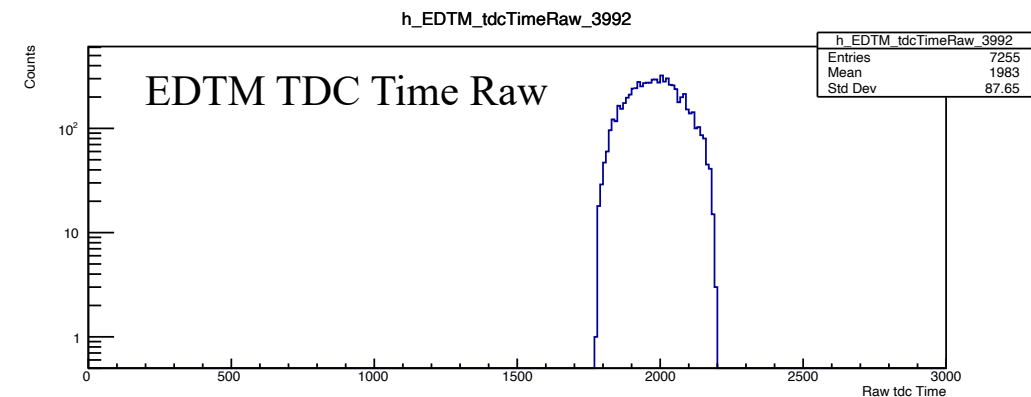
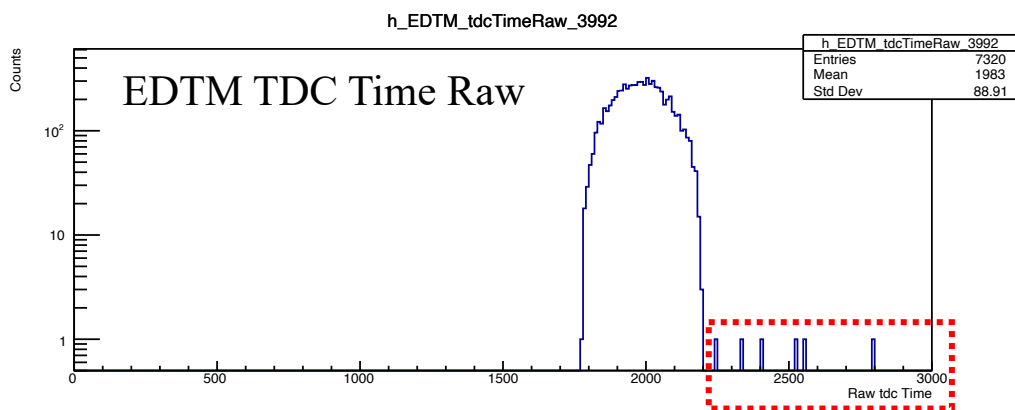
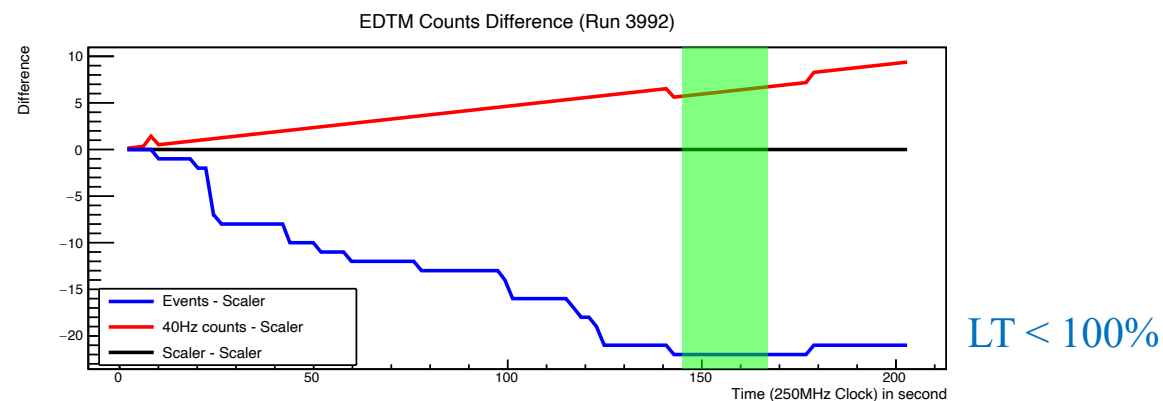


TDC noise needs to be considered

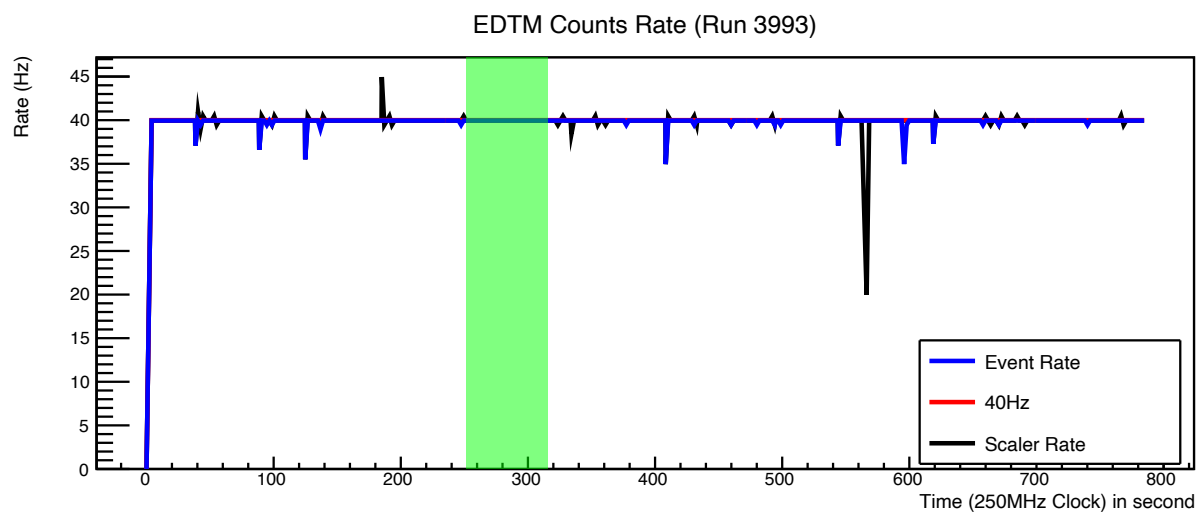
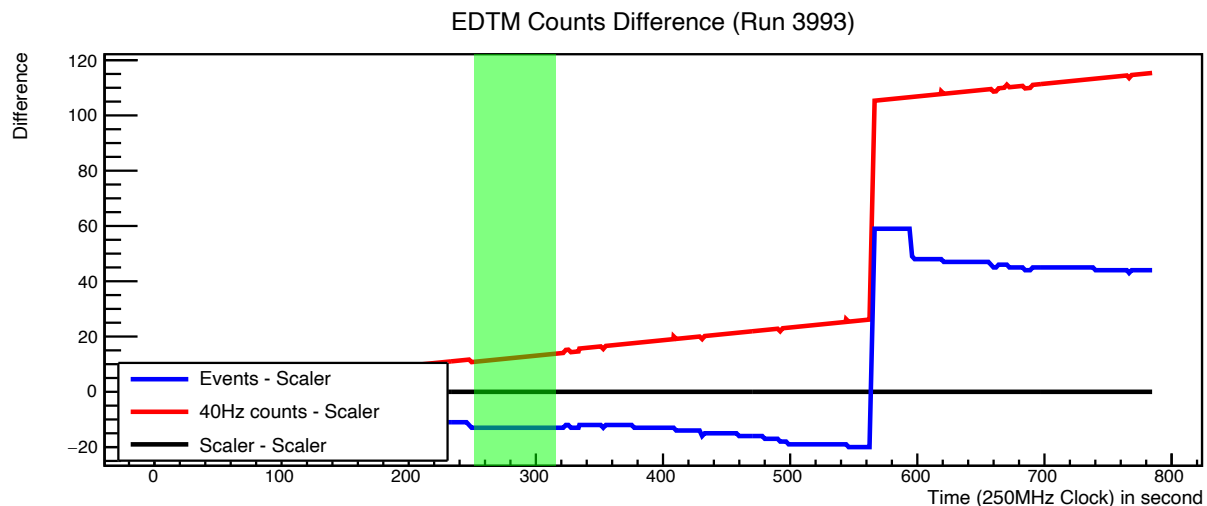
EDTM TDC Time Raw > 1



EDTM TDC Time Raw ∈ [1770,2200]



Other considerations



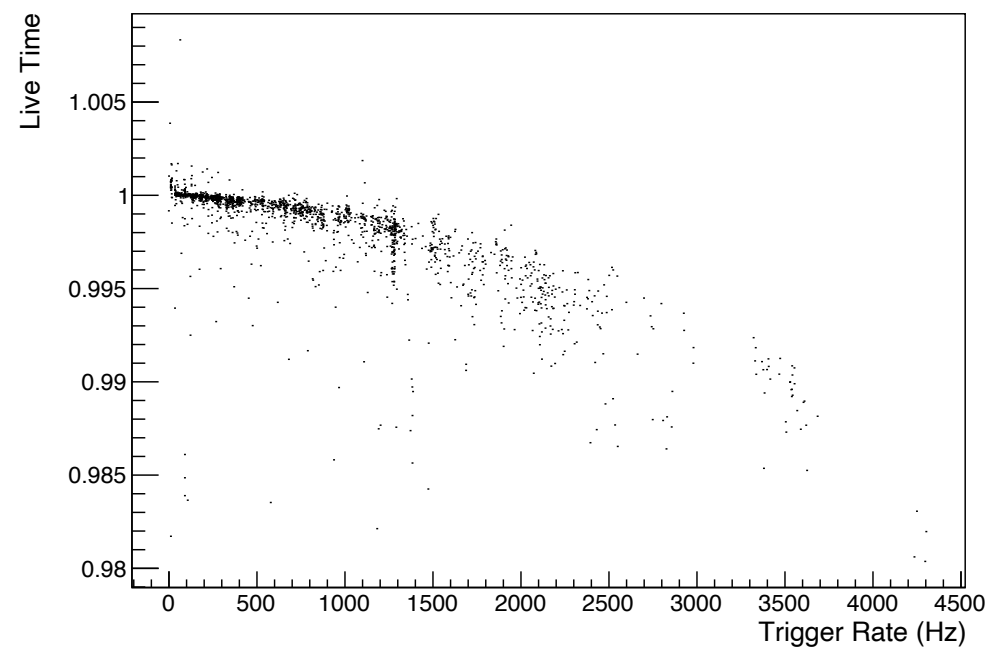
➤ Sudden EDTM scaler rate drop

- It needs to be corrected

➤ Beam trips

- The beam trips should be removed when calculating the EDTM deadtime

EDTM Live Time vs. Trigger Rate



Other ways to estimate the deadtime

Dead time

Method 1

```
hccoda@hcvme01:~/hms/hcvme01/hcvme01.c
```

```
tiSetTriggerHoldoff(1,10,0); /* 1 trigger in 10*16 nsec */ Rule 1
tiSetTriggerHoldoff(4,7,1); /* 4 trigger in 7*3840 nsec (26.99 usec) */ Rule 4
```

- 1D histogram for time interval between adjacent events
- The minimum of the time interval is T_{dead}
- N events, total time T
- $DT = \frac{N \times T_{dead}}{T}$ **Percentage of the time**

Method 2

```
hccoda@hcvme01:~/hms/hcvme01/hcvme01.c
```

```
unsigned int V1190_TW_OFF = 3970; //changed from 3400(2023/08/23)
unsigned int V1190_TW_WID = 3600; //changed from 3200(2023/08/23)
```

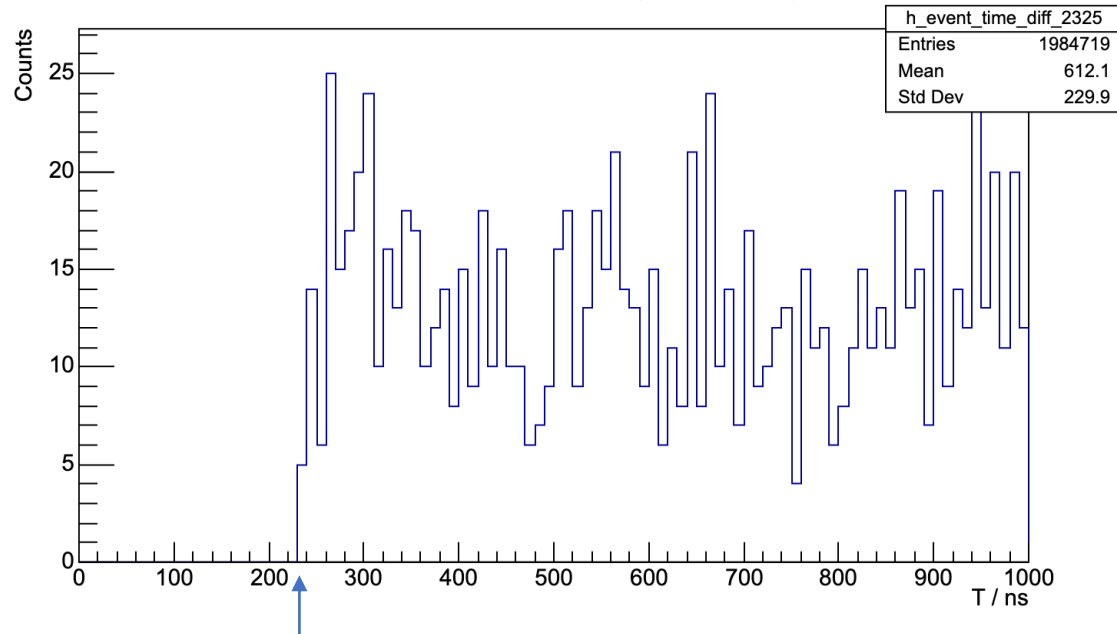
- We can have multiple TDC hits for a single event
- Only the first hit was recorded as an event
- Poisson distribution: $P(N(t) = k) = \frac{e^{-\lambda t} (\lambda t)^k}{k!}$
- Exponential distribution: $P(T > t) = P(N(t) = 0) = e^{-\lambda t}$
- 1D histogram for time interval between adjacent hits
- Fit the histogram to get the λ
- Mathematical expectation: $E(N(t)) = \lambda t$
- $DT = 1 - \frac{1}{\lambda t + 1} = \frac{\lambda t}{\lambda t + 1}$ **Percentage of the event counts**



Other ways to estimate the deadtime

Method 1

Event time difference (Run 2325)



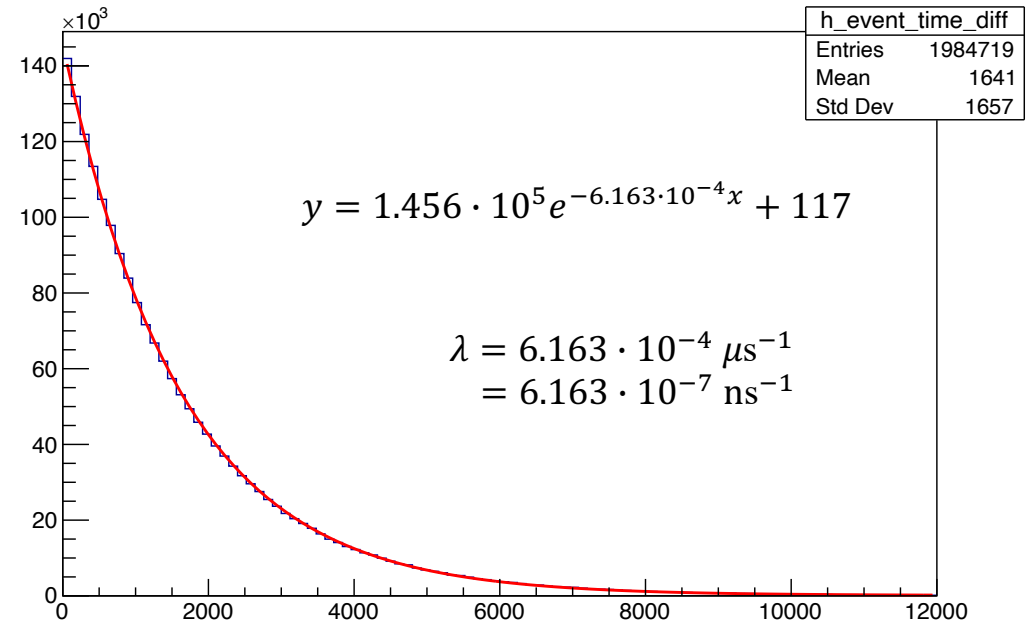
$$T_{dead} = 230 \text{ ns}$$

```
Total events: 2128022
Without EDTM events: 1984720
Total time: 3581.55 second
Dead time per event: 230 ns
Total dead time = 1984720 * 230 / 1e9 = 0.456486 second
Live time (percentage): 99.9873 %
```

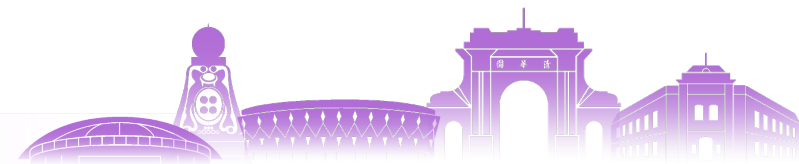
$$LT = 1 - \frac{N \times T_{dead}}{T} = \frac{1984720 \times 230 \text{ ns}}{3581.55 \text{ s}} = 99.9873\%$$

Method 2

Event time difference



$$LT = \frac{1}{\lambda t + 1} = 99.9858\%$$



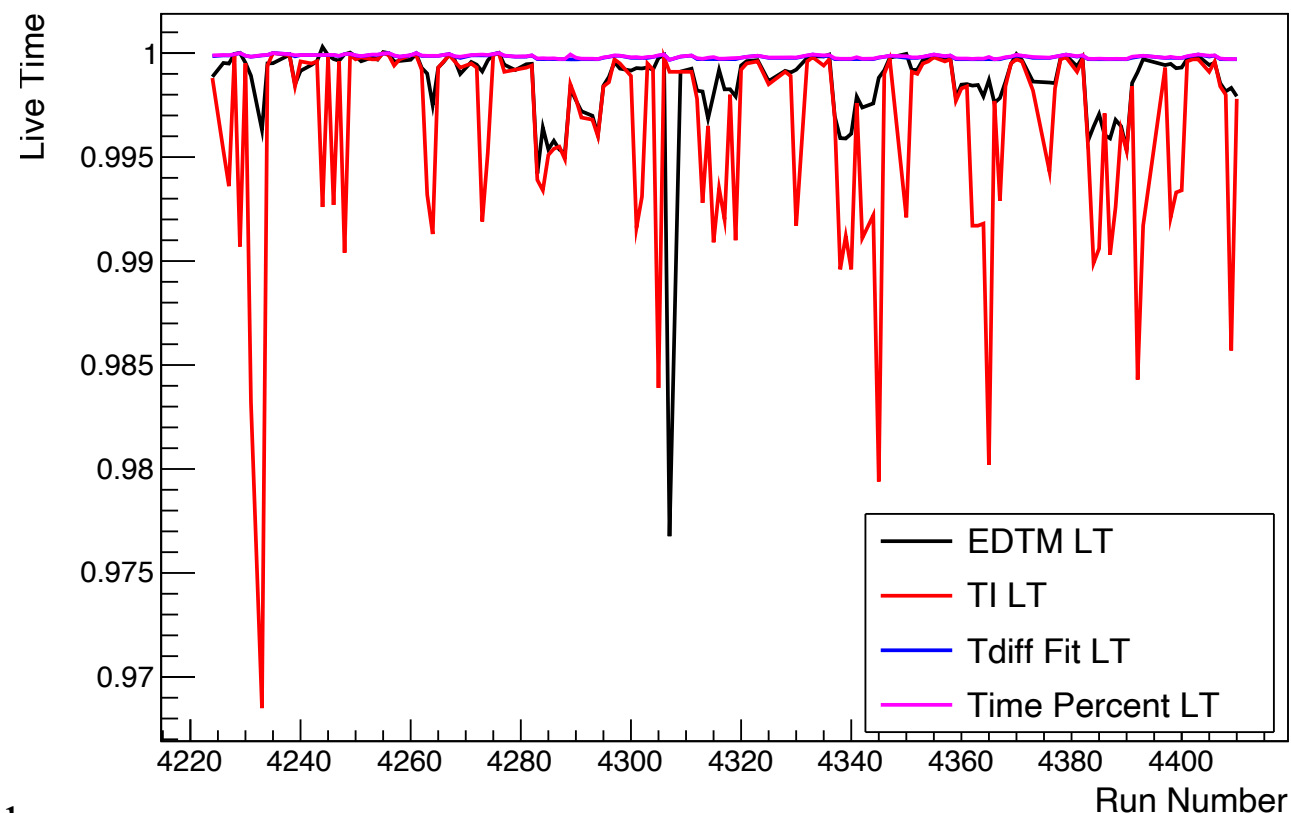
■ Comparison between different methods

- EDTM deadtime
- Events time difference distribution (Method 1&2)
- **TI live time (already exists in the report files)**

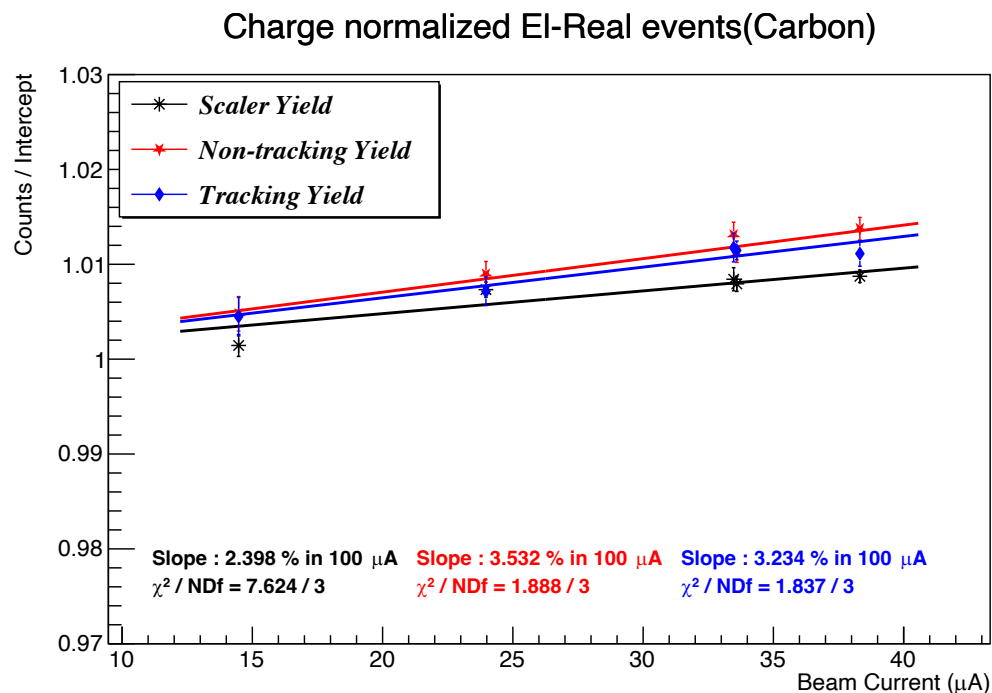
■ Conclusions

- **Blue** and **pink** lines are close to 100%
 - Theoretically TI Rule1&4 gives little dead time at our data taken rate (2kHz ~ 0.046%)
- EDTM and **TI live time** makes more sense
 - TI was not always working perfectly
- **TI live time** is much lower than EDTM LT
 - The TI LT in report files needs to be improved (see also next page)

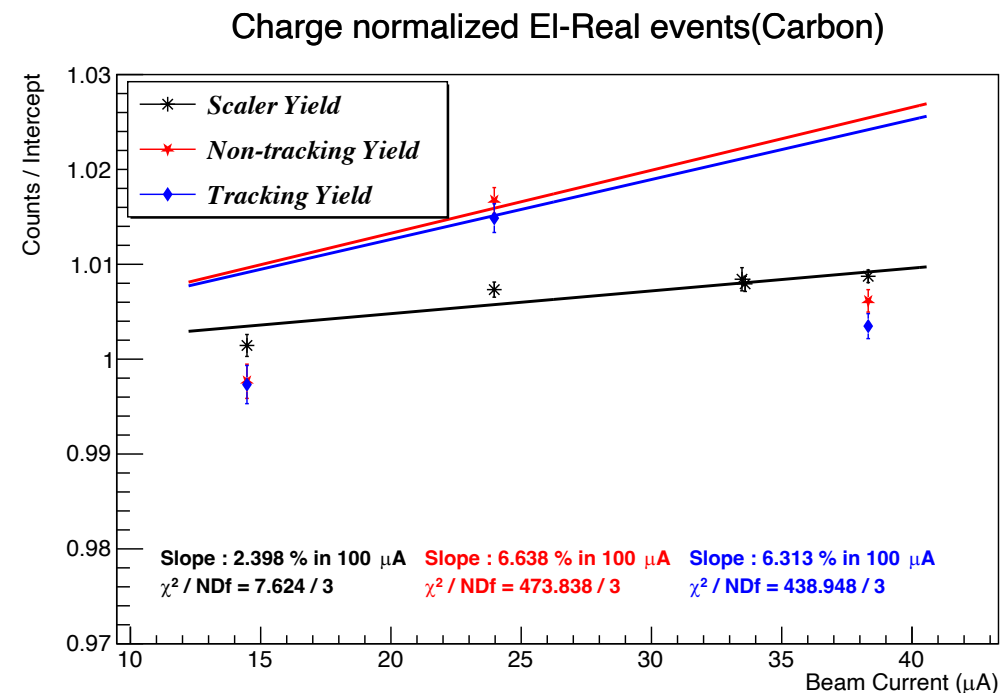
Comparison between different dead time calculation methods



■ The TI LT in the root files are not reliable



$$\text{LT} = \frac{\text{\# of events}}{\text{scaler_htrig4} - \text{scaler_edtm}} \times \text{ps-factor}$$



LT from the report file
 (“HMS TRIG4 Computer Live Time”)

- The left formula is exactly what we want
- TI LT in the report file doesn't match with the calculation



■ What is done now:

I calculated the deadtime for runs from 1500 to 5000 (03/02/2024)

- EDTM deadtime
- Events time difference distribution
- TI live time (already exists in the root files)

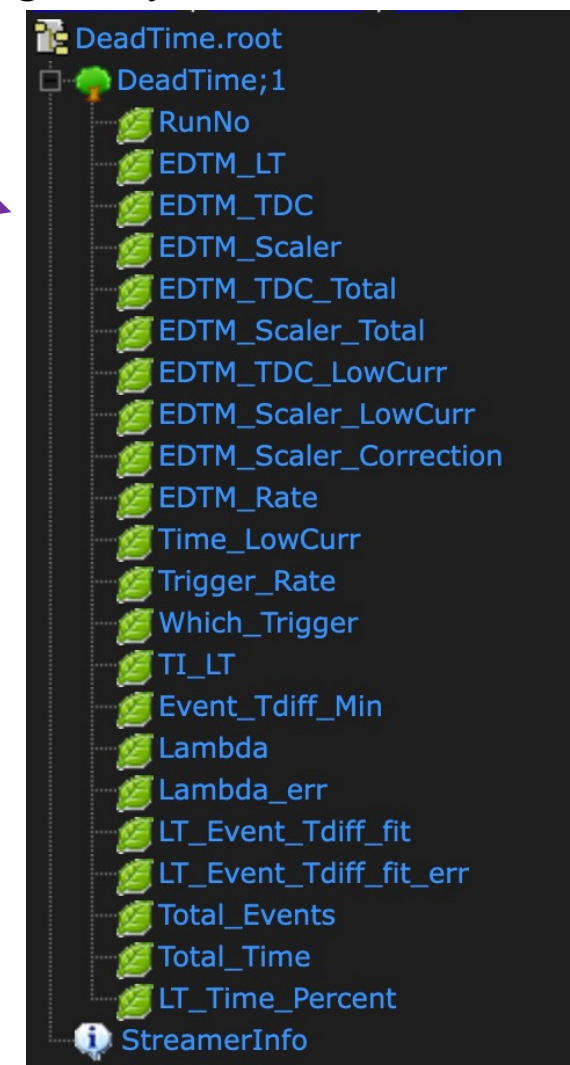
■ Need to do next:

- Improve algorithm for EDTM deadtime calculation
- Calculate the LT using the formula: $LT = \frac{\text{\# of events}}{\text{scaler_htrig4} - \text{scaler_edtm}} \times \text{ps factor}$
- Generate the “DeadTime.root” for all the runs

■ Questions:

- Do we need (have chance) to estimate the NPS deadtime?
- There is some clue for the NPS deadtime
- As Julie suggested, I prepared some slides about luminosity analysis and helicity, may I continue to show them?

/group/nps/yaopeng/Analysis/Deadtime/DeadTime.root



■ Slope Table

KinC_x	LH2 Yield vs Trigger1 rate Slope (10^{-5} %/kHz)	Maximum Trigger1 Rate (kHz)	Runs (More than 5)
36_3	0.79	800	20
36_5	-3.03	2200	13
50_4	-2.43	1800	25
50_4'	-3.30	2000	35
60_3	-3.32	1100	11
50_1	-2.79	1000	9
36_5' (Calibrated)	-3.07	2200	8
60_4a (Calibrated)	-2.22	2200	14
60_4b	-2.13	1200	19

- For LD2, the slope varies a lot (can be positive and also negative)
- For LH2, if the maximum hTRIG1 rate is larger than 800 kHz, the slope is always negative $[-2, -3]e-5$



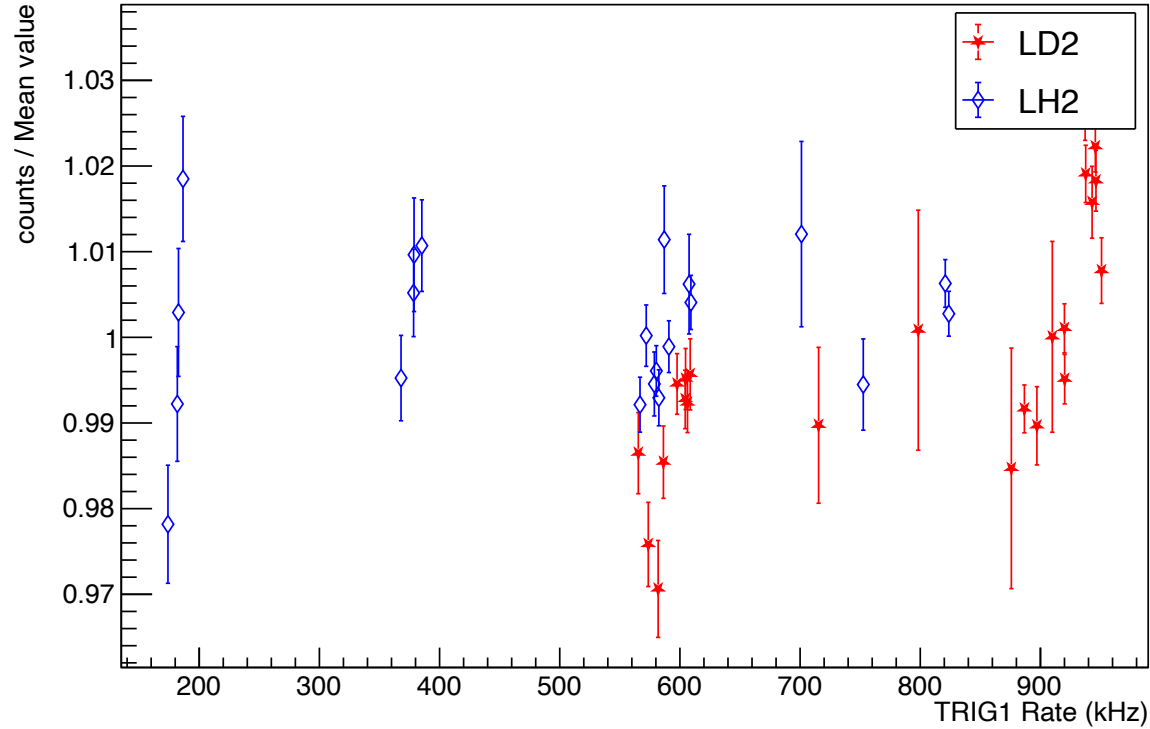
THANKS!



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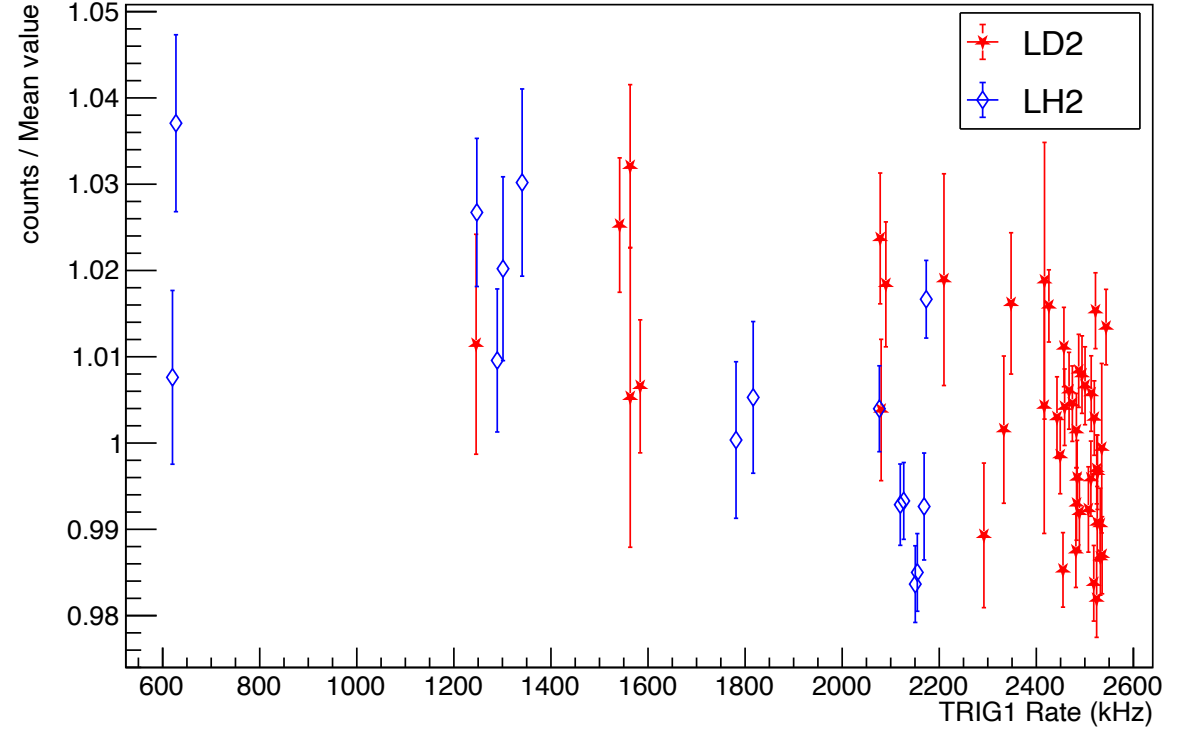
Slope Table

Charge normalized DVCS events / Mean value



KinC_36_3

Charge normalized DVCS events / Mean value



KinC_x60_4a

