

# The CaFe Experiment

**Hall C CaFe Group:**

**N. Swan**, C. Yero, D. Nguyen,  
H. Szumila Vance, L.B. Weinstein



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**Proposal: PR12-16-004**

**Spokespeople:** D. Higinbotham (Jlab), F. Hauestein (Jlab), O. Hen (MIT), L. Weinstein (ODU)

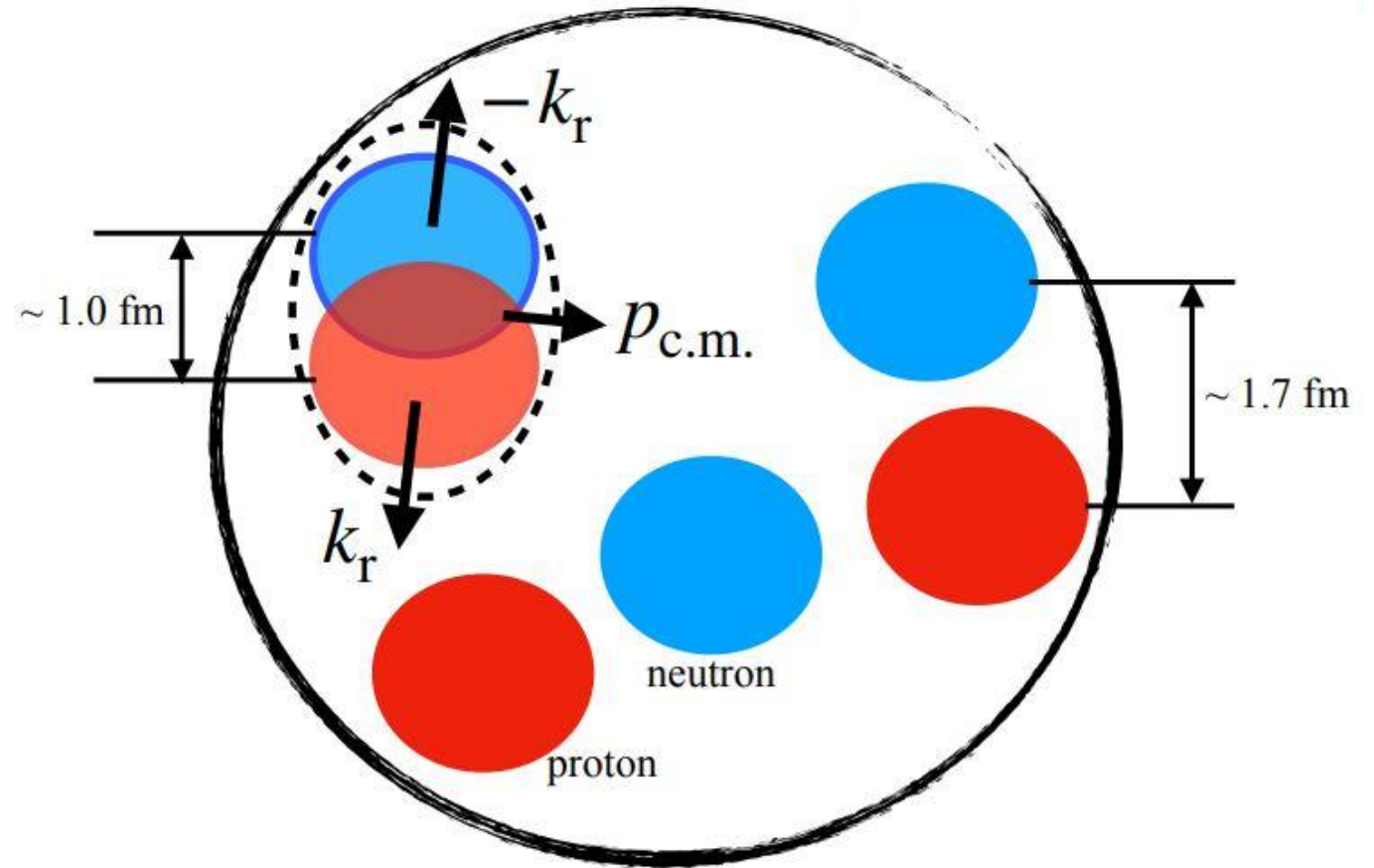


# Outline

- Motivation
- Spectrometer Normalization  $H(e, e')$
- HMS Proton Efficiency (Absorption)
- Radiative Corrections
- Nuclear Transparency
- Systematic Uncertainties
  - Cut Variations
- Results

# Short Range Correlations

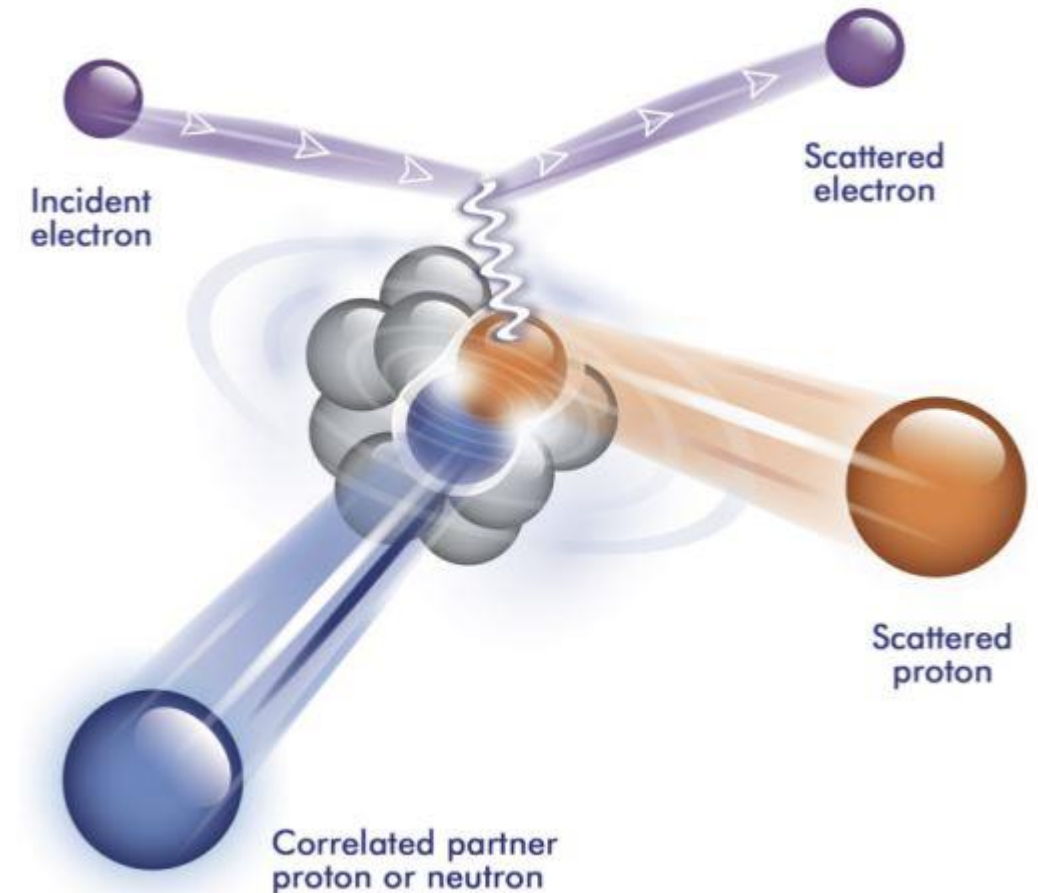
- SRCs are temporary short distance high momentum fluctuations
- High relative momentum ( $k_r > k_F \sim 250 \text{ MeV}/c$ )
  - Depends on the short-range part of the N-N interaction
- Unchanged center-of-mass momentum
- Open questions
  - Momentum structure
  - 3 nucleon correlations
  - Which nucleons pair



# CaFe Motivation

## Which nucleons form SRC pairs?

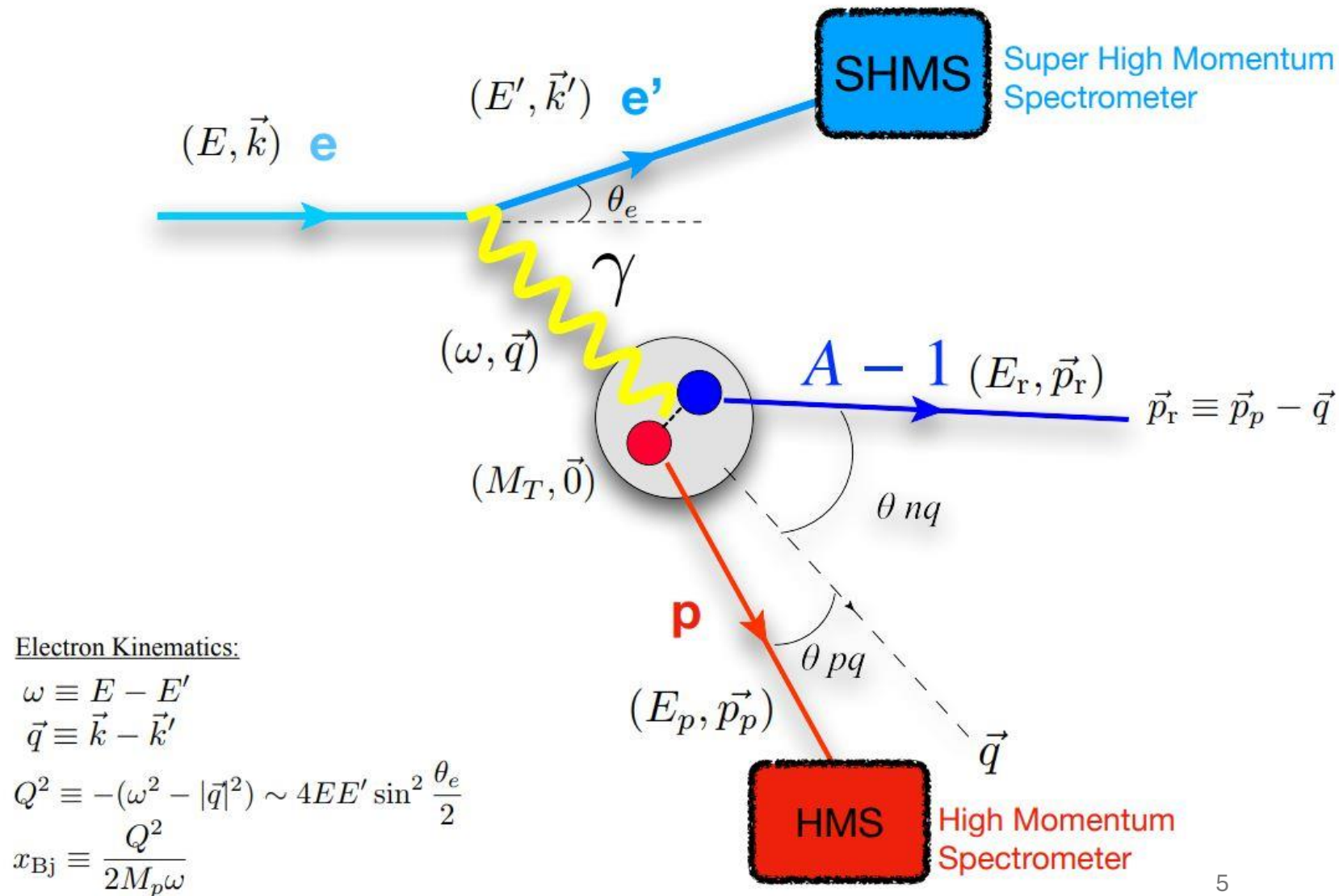
- Compare number of high-momentum (paired) protons in  $^{40}\text{Ca}$ ,  $^{48}\text{Ca}$ , and  $^{54}\text{Fe}$ 
  - $^{40}\text{Ca}$ : filled 1s, 1p, and 2s/1d p and n shells
  - $^{48}\text{Ca}$ : add 8  $f_{7/2}$  neutrons
  - $^{54}\text{Fe}$ : add 6  $f_{7/2}$  protons
  - **First Paper**
- Measure  $A(e, e'p)$  on d,  $^9\text{Be}$ ,  $^{10,11}\text{B}$ ,  $^{12}\text{C}$ ,  $^{40,48}\text{Ca}$ ,  $^{54}\text{Fe}$ , and  $^{197}\text{Au}$  at high and low missing momentum
  - $^9\text{Be}$ - $^{10}\text{B}$ - $^{11}\text{B}$ - $^{12}\text{C}$  quartet and  $^{40}\text{Ca}$ - $^{48}\text{Ca}$ - $^{54}\text{Fe}$  triplet
  - Separate A and N/Z dependence on pairing



# Hall C A(e,e'p): Experimental Setup

- $E_o = 10.6 \text{ GeV}$
- $E' = 8.55 \text{ GeV}$
- $\Theta_e = 8.3 \text{ Deg}$
- $Q^2 = 2.1 (\text{GeV}/c)^2$
- High  $P_{\text{miss}}$  (SRC)
  - $P_{\text{miss}} \approx 400 \text{ MeV}/c$
  - $|P_p| = 1.325 \text{ GeV}/c$
  - $\Theta_p = 66.4^\circ$
- Low  $P_{\text{miss}}$  (Mean Field)
  - $P_{\text{miss}} \approx 150 \text{ MeV}/c$
  - $|P_p| = 1.820 \text{ GeV}$
  - $\Theta_p = 48.3 \text{ Deg}$

## General A(e, e'p) Kinematics

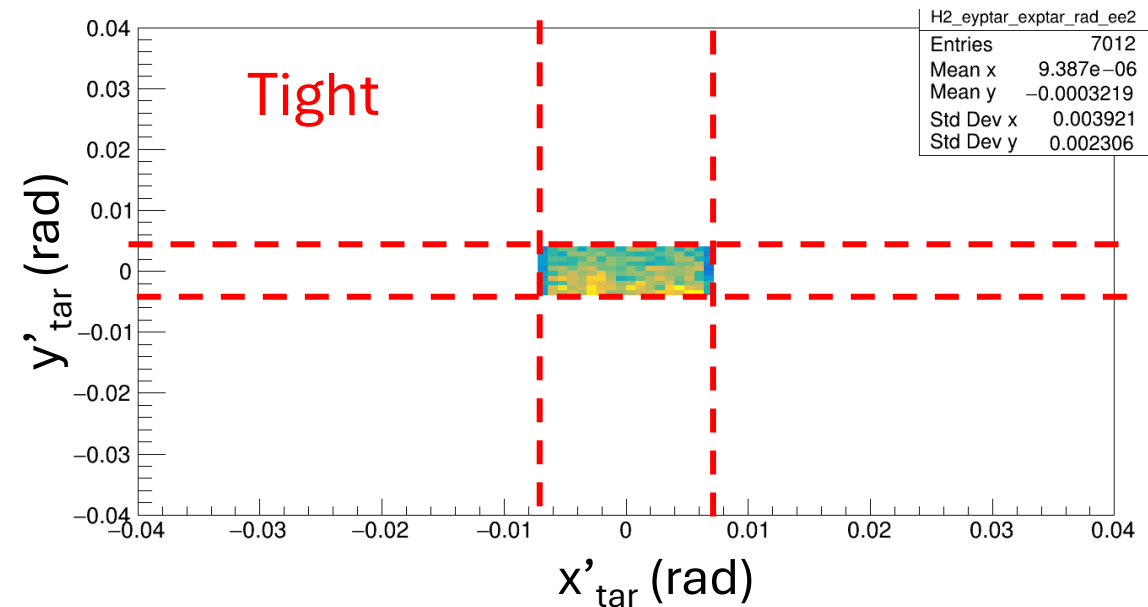
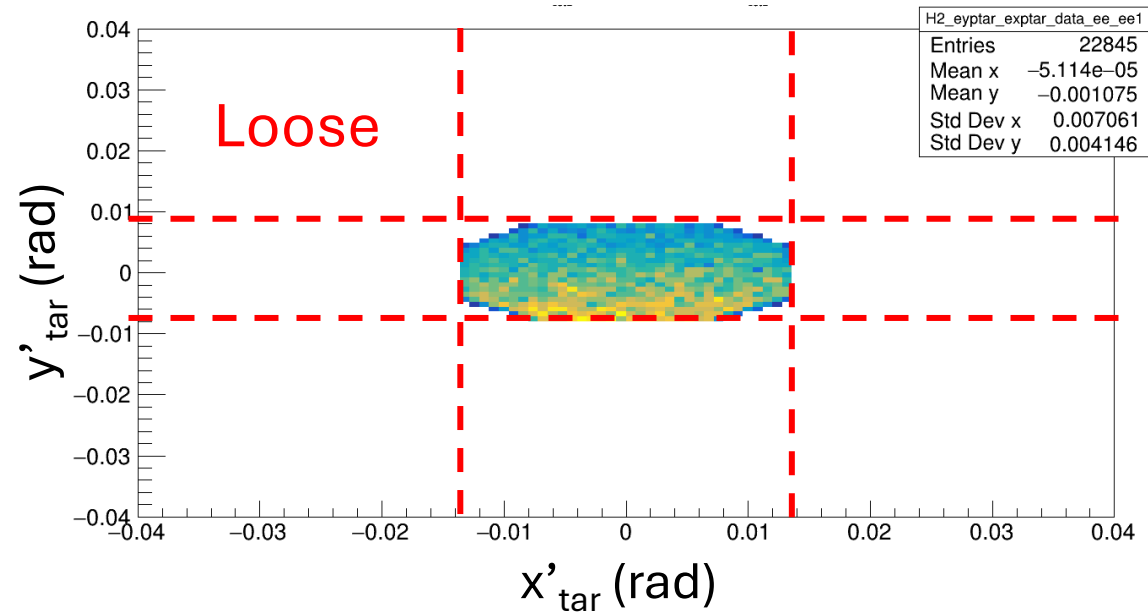


# Spectrometer Normalization $H(e,e')$

- $H(e,e')$  is the simplest system
- If the  $H(e,e')$  cross section is correct then we have verified
  - Detector Calibrations
  - Optics Calibrations
  - Efficiencies
  - Cuts

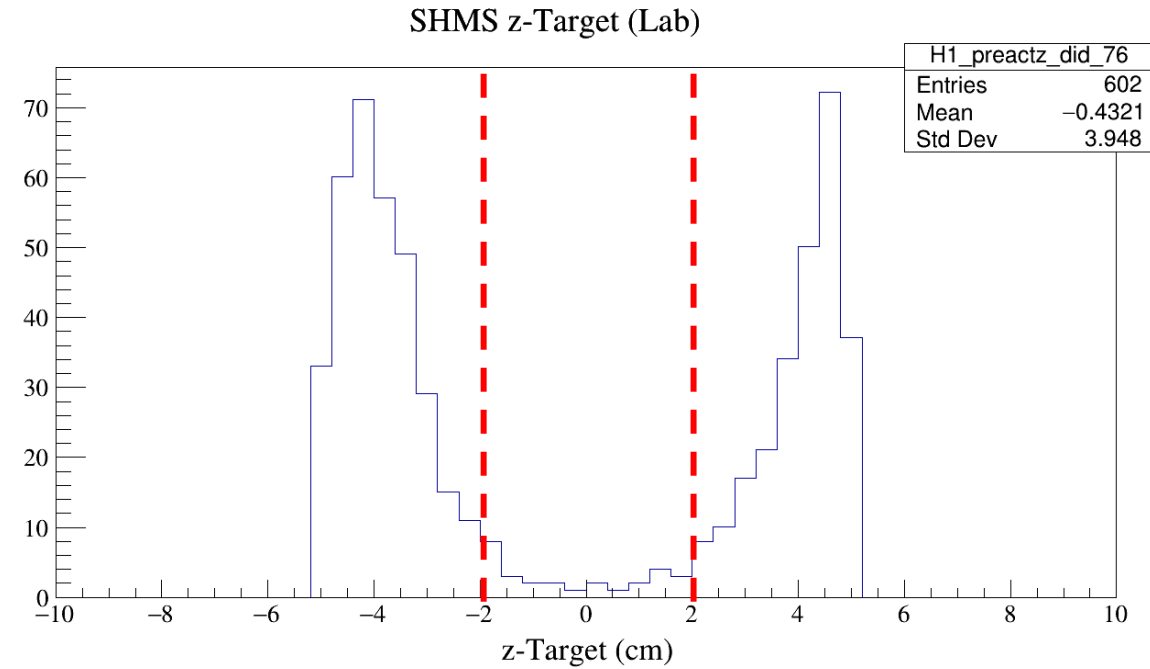
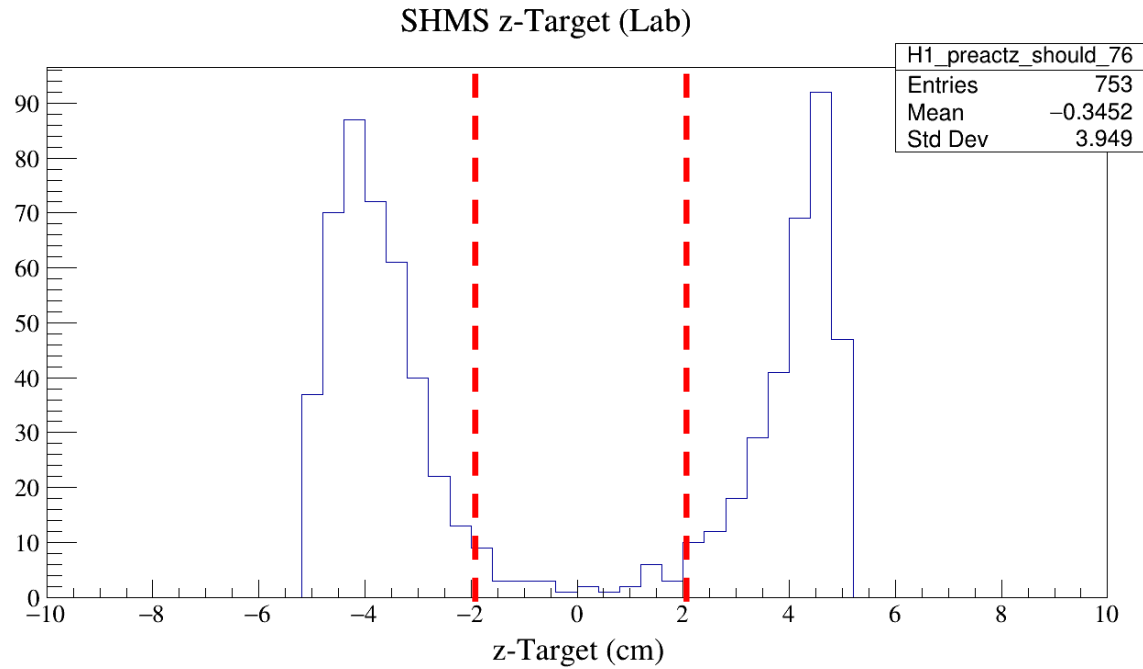
# Spectrometer Normalization H(e,e') Cuts

- $0.8 < \frac{E_{\text{tot}}}{P_{\text{cent}}} < 1.3$
- $0.92 < W < 0.97 \text{ GeV}$
- Loose
  - $-5 < z - \text{Target} < 5 \text{ cm}$
  - $-0.0135 < \text{SHMS } x'_{\text{tar}} < 0.0135 \text{ rad}$
  - $-0.008 < \text{SHMS } y'_{\text{tar}} < 0.008 \text{ rad}$
- Tight
  - $-2 < z - \text{Target} < 2 \text{ cm}$
  - $-0.0068 < \text{SHMS } x'_{\text{tar}} < 0.0068 \text{ rad}$
  - $-0.004 < \text{SHMS } y'_{\text{tar}} < 0.004 \text{ rad}$



# SHMS Dummy z-Target

$-2 < z\text{-Target (lab)} < 2$  (cm) to eliminate target walls

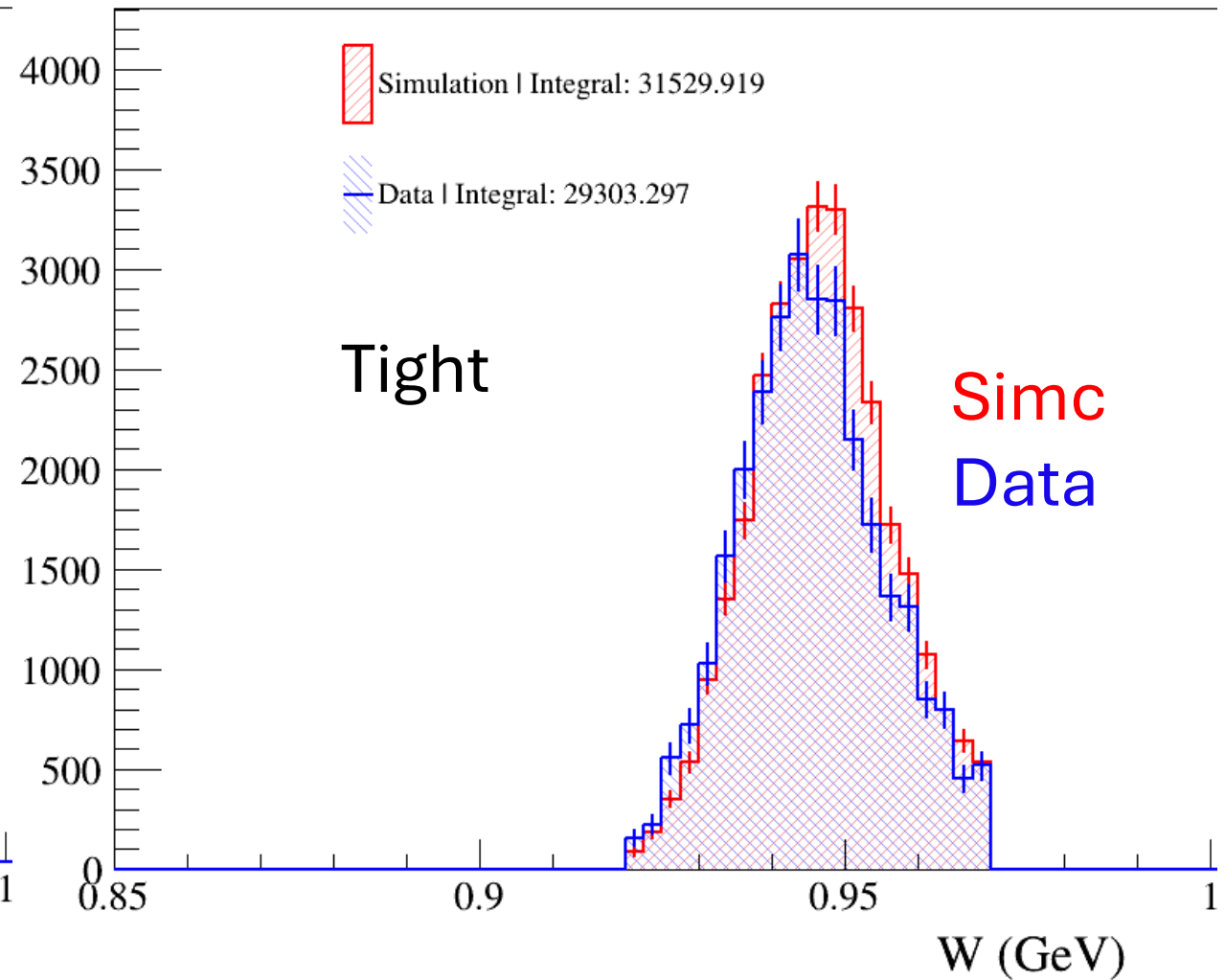
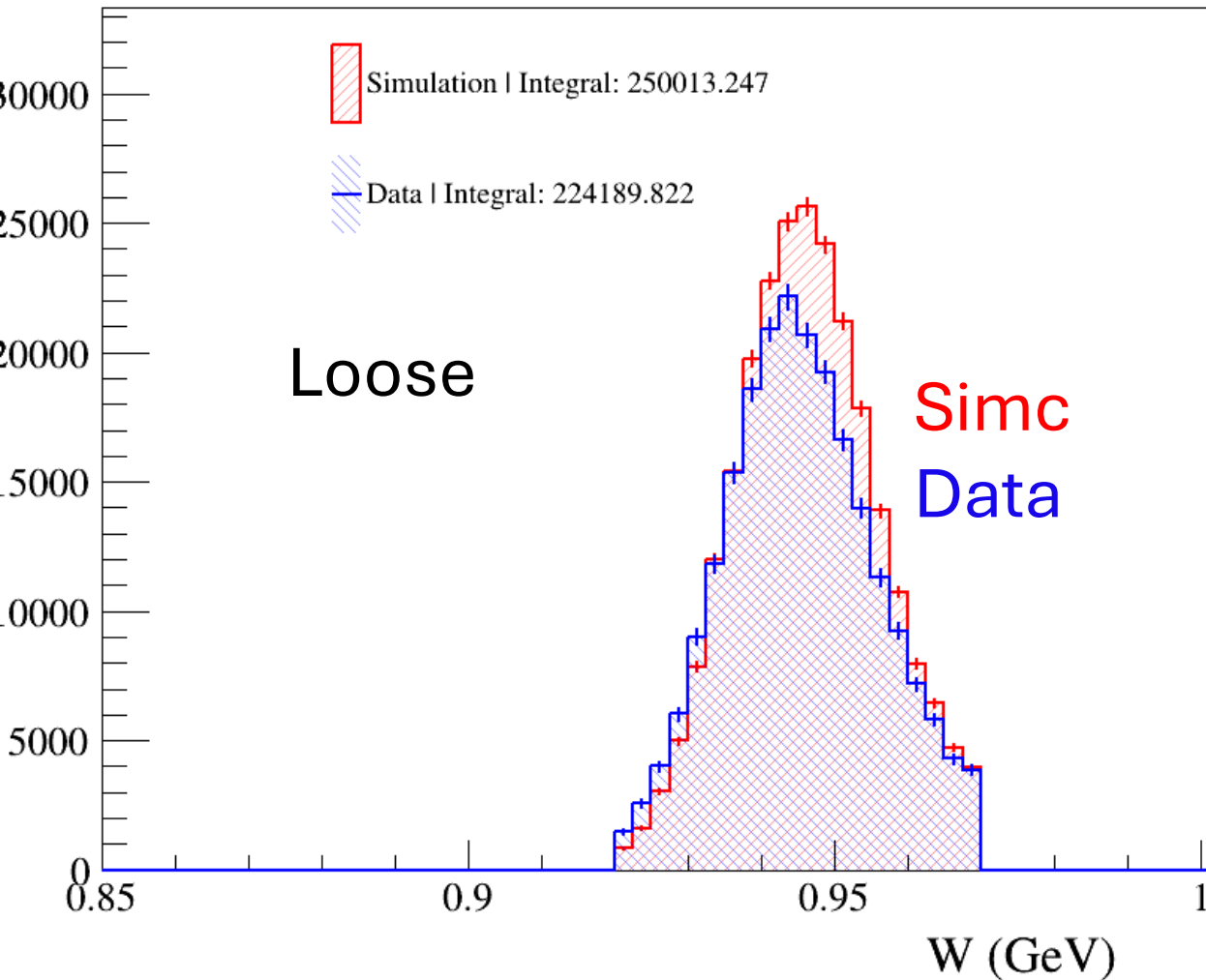




# H(e,e') Simulation vs Data

Invariant Mass

Invariant Mass



# H(e,e') Cross Sections

- Units:  $10^{-2} \frac{\mu\text{b}}{\text{sr}}$
- World Data (J. Arrington)
  - 2.41
- Loose
  - Data: 2.07
  - Simulation: 2.17
- Tight
  - Data: 2.37
  - Simulation: 2.38

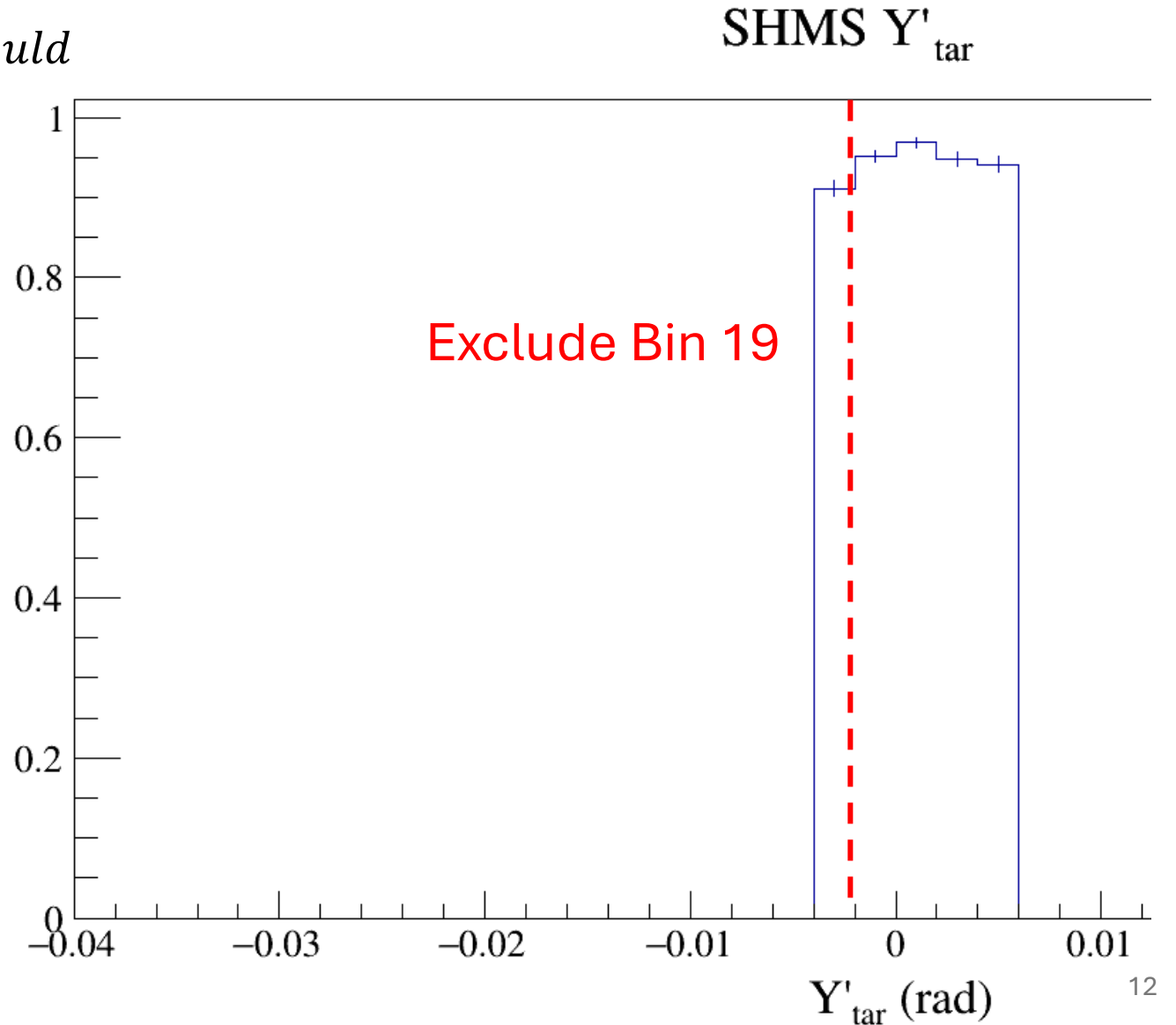
# HMS Proton Efficiency

- Measure  $H(e,e'p)/H(e,e')p$
- Select  $H(e,e')$  events that should have a proton in the HMS
  - $0.92 < W < 0.97$  GeV
  - $-2 < z - \text{Target} < 2$  cm
  - $-0.01 < \text{SHMS } x'_{\text{tar}} < 0.01$  rad
  - $-0.002 < \text{SHMS } y'_{\text{tar}} < 0.006$  rad
  - $0.8 < \frac{E_{\text{tot}}}{P_{\text{cent}}} < 1.8$
- $H(e,e'p)$  events
  - Should +
  - $-5 < \text{ep Coin Time} < 5$  ns
  - $-0.02 < E_m < 0.9$  GeV
- Iteratively tightened **cuts** until ratios became flat

# HMS Proton Efficiency

$$\sigma_{ratio}^{exact} = \sqrt{\text{should} \frac{did}{\text{should}} \left(1 - \frac{did}{\text{should}}\right) / \text{should}}$$

Proton Efficiency:  $0.952 \pm 0.004$



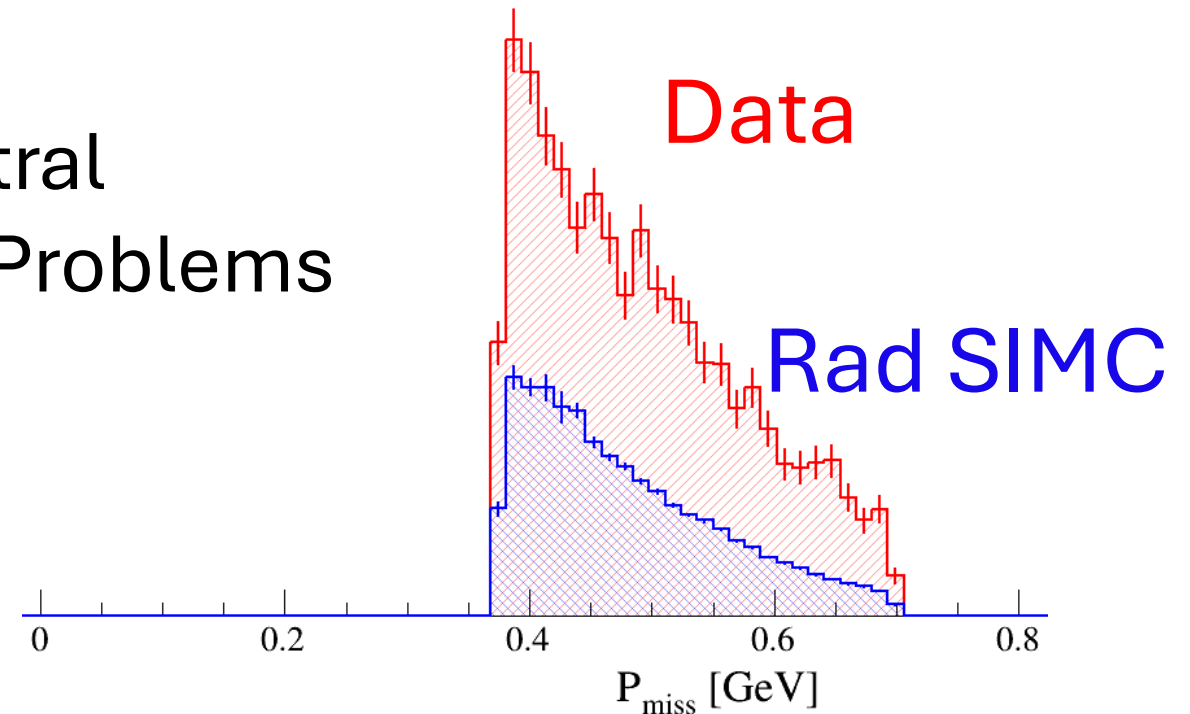
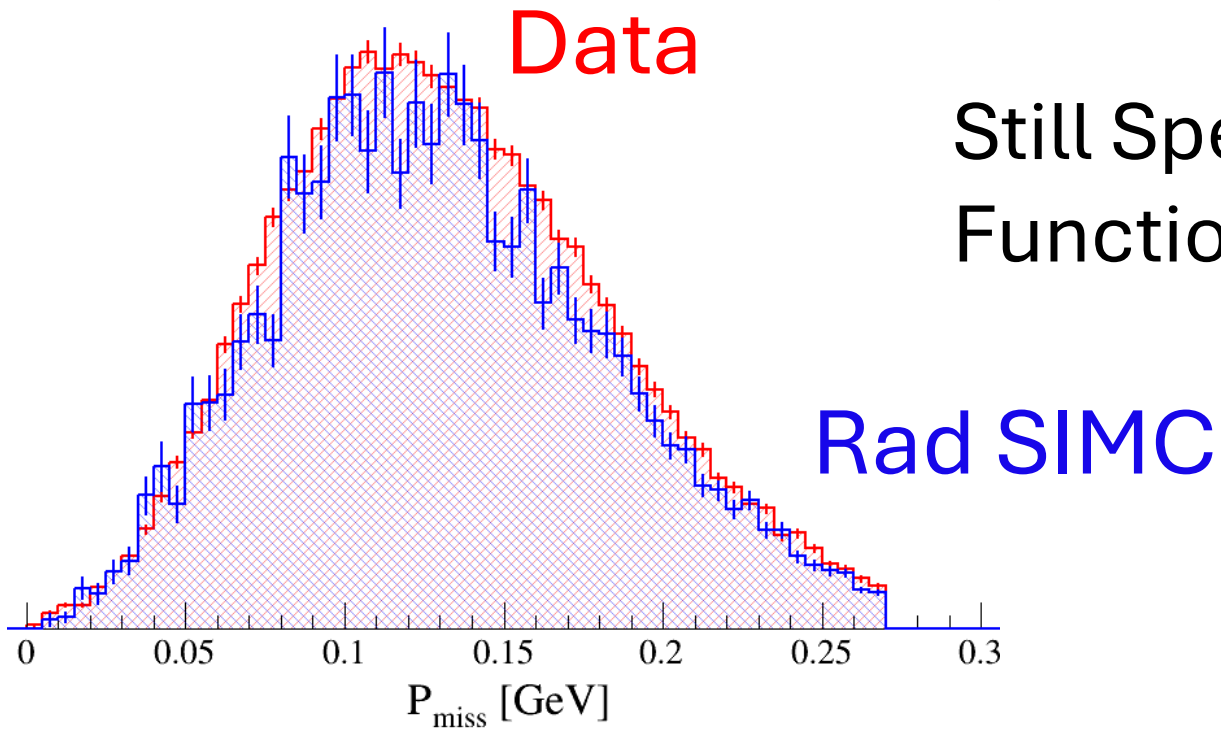
# Radiative Corrections

- Take ratio of radiated / non-radiated SIMC cross sections
- Using Benhar Spectral Function because default SIMC does not account for SRCs

# MF & SRC C12 pmiss: Benhar Simc vs Data

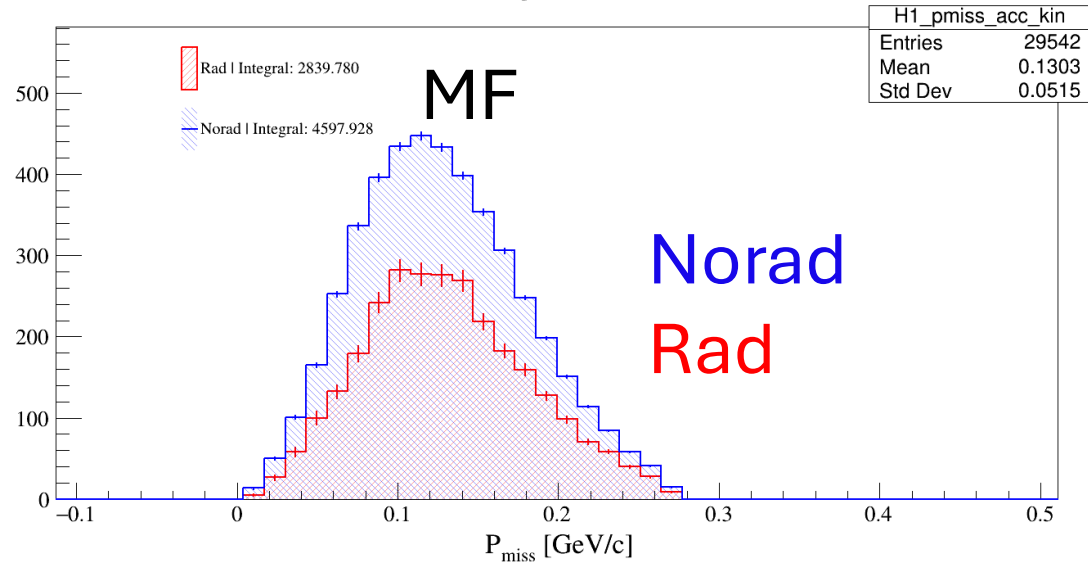
MF Missing Momentum

SRC Missing Momentum

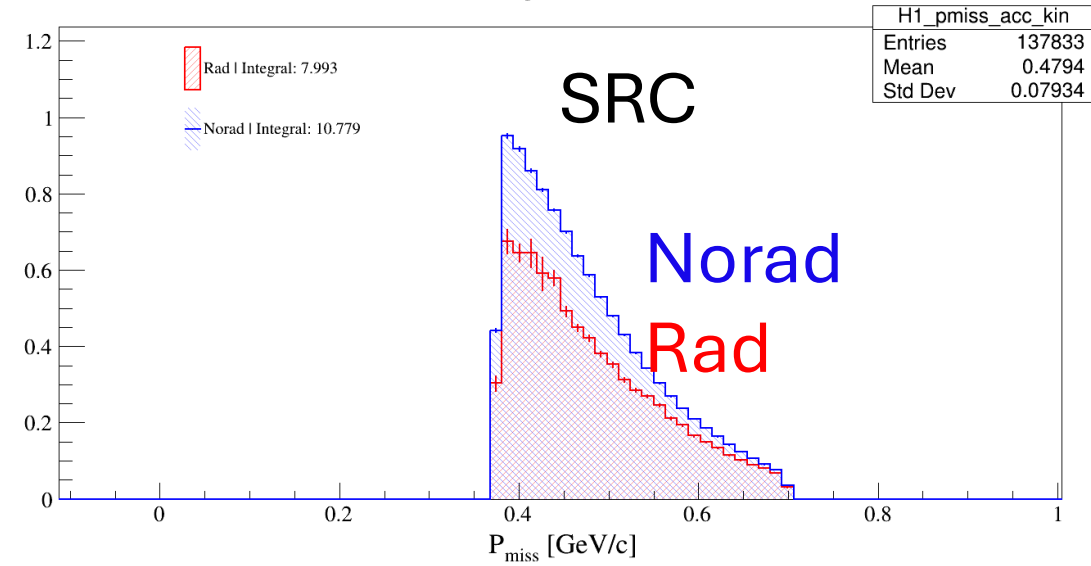


# MF & SRC C12 $p_{\text{miss}}$ Benhar Sim Radiative Correction

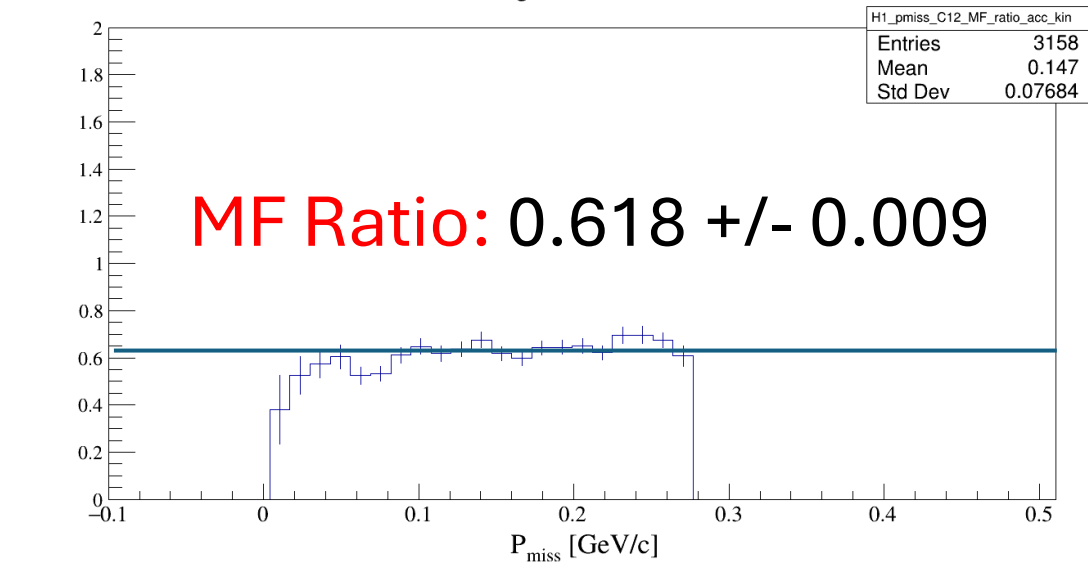
Missing Momentum



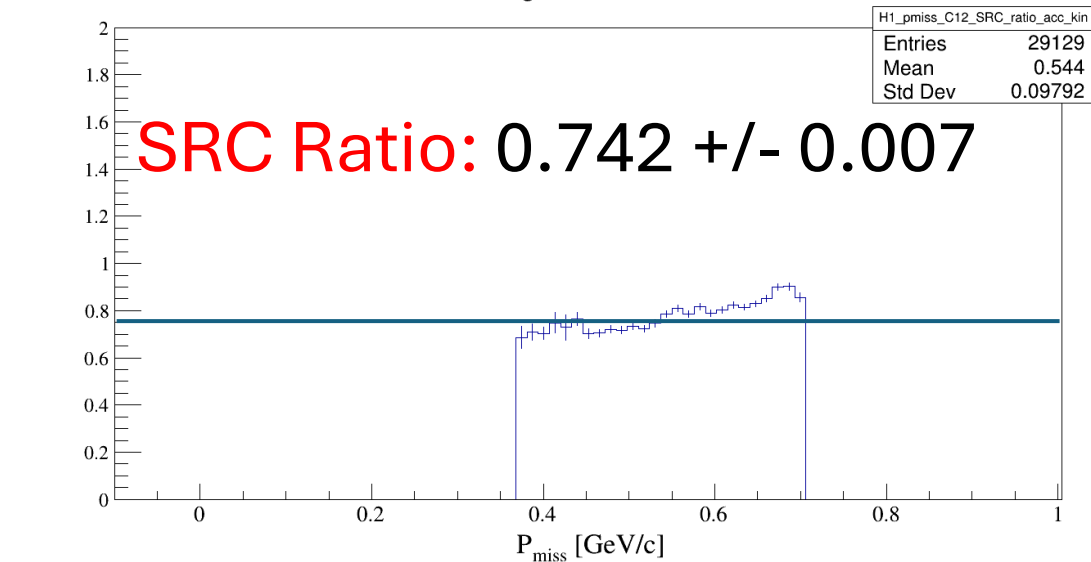
Missing Momentum



Missing Momentum



Missing Momentum



# Radiative Correction Factors

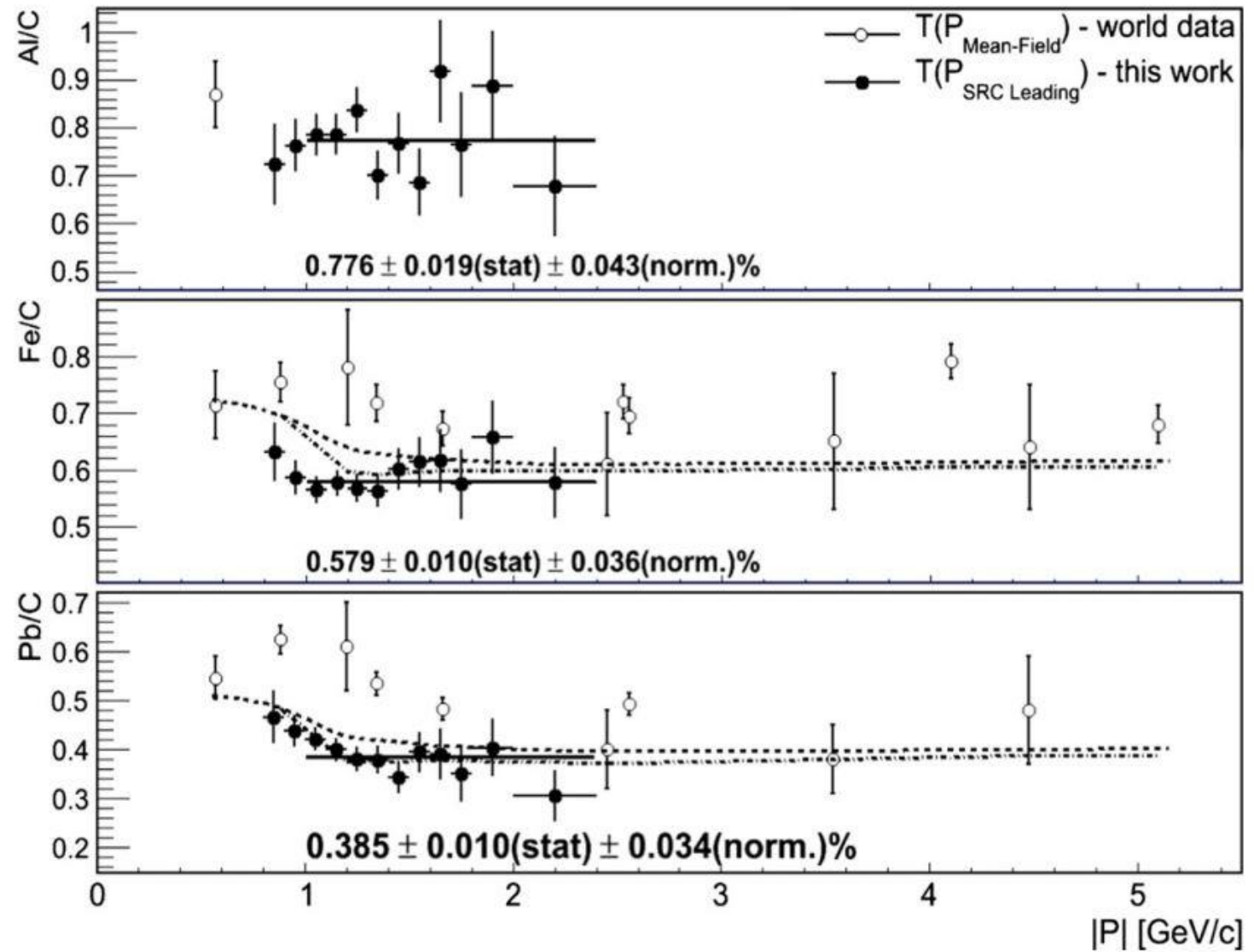
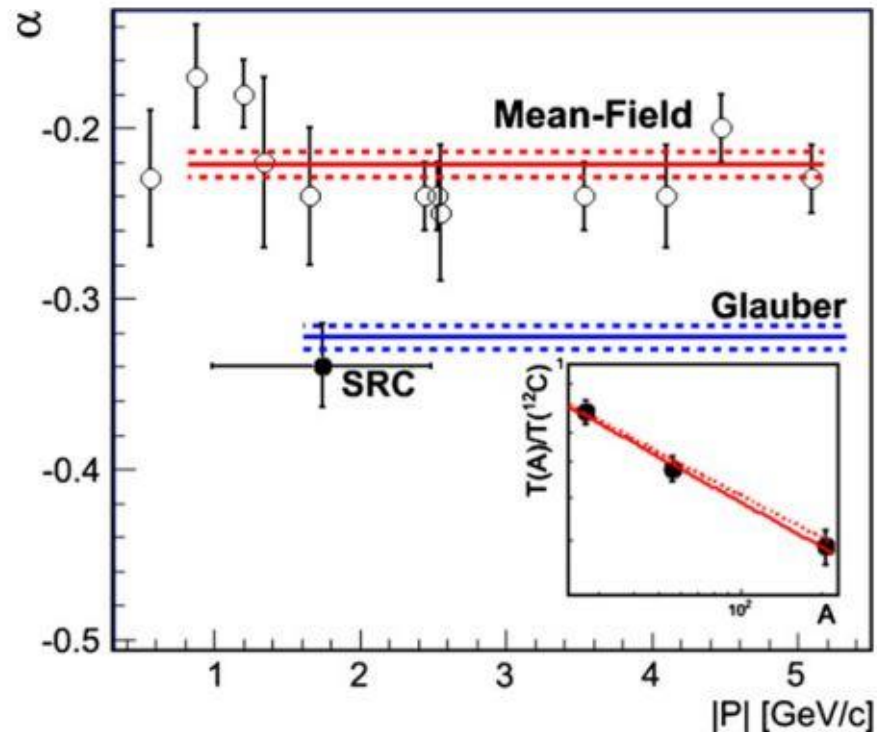
Kinematics	MF			SRC		
Target	C12	Fe56	Au197	C12	Fe56	Au197
Rad/Norad Ratio	0.618	0.577	0.451	0.742	0.734	0.604
Stat Uncertainty	0.009	0.006	0.005	0.007	0.012	0.014

- Ratios of corrections are important
  - MF to SRC
  - Different Nuclei
  - Small A dependence implies corrections mostly cancel



# Proton Transparency

- Cancels in SRC to MF ratio
- Use measured ratios to C
- $T(A) \propto A^{-0.34 \pm 0.02}$

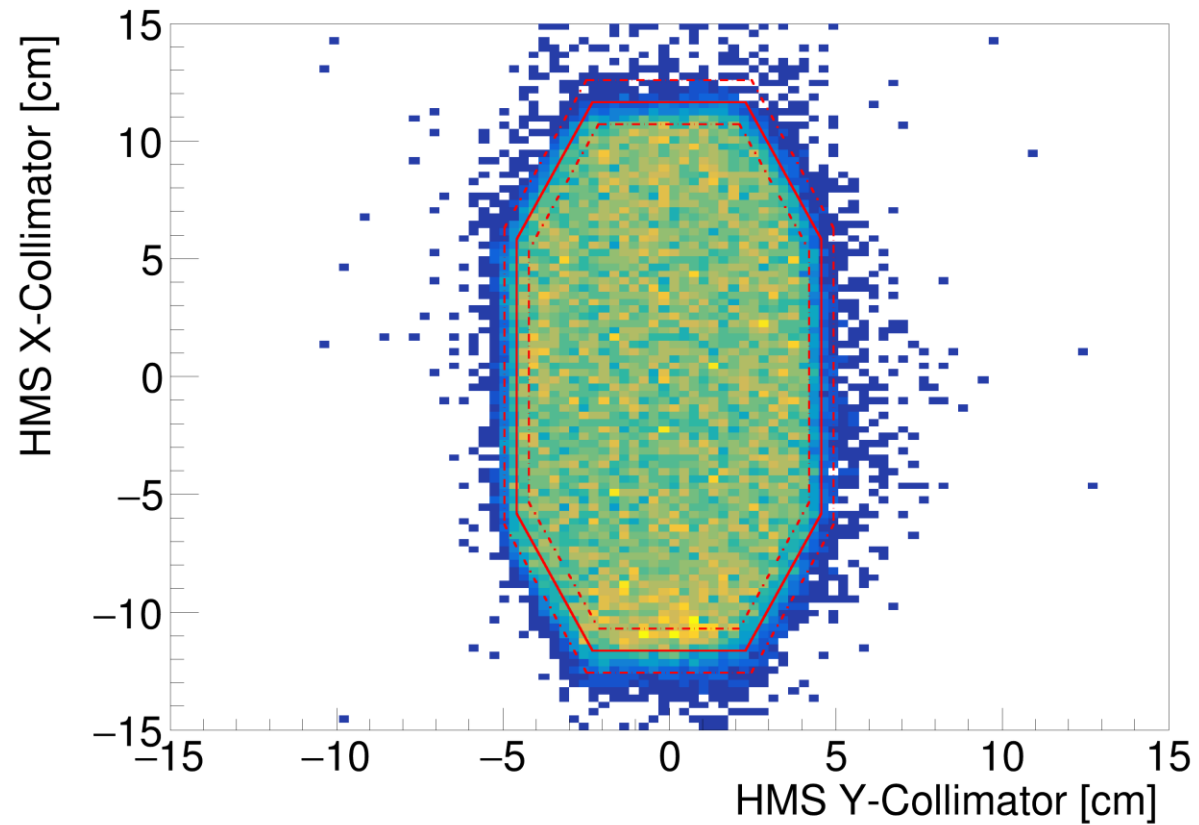


# Cut Variations

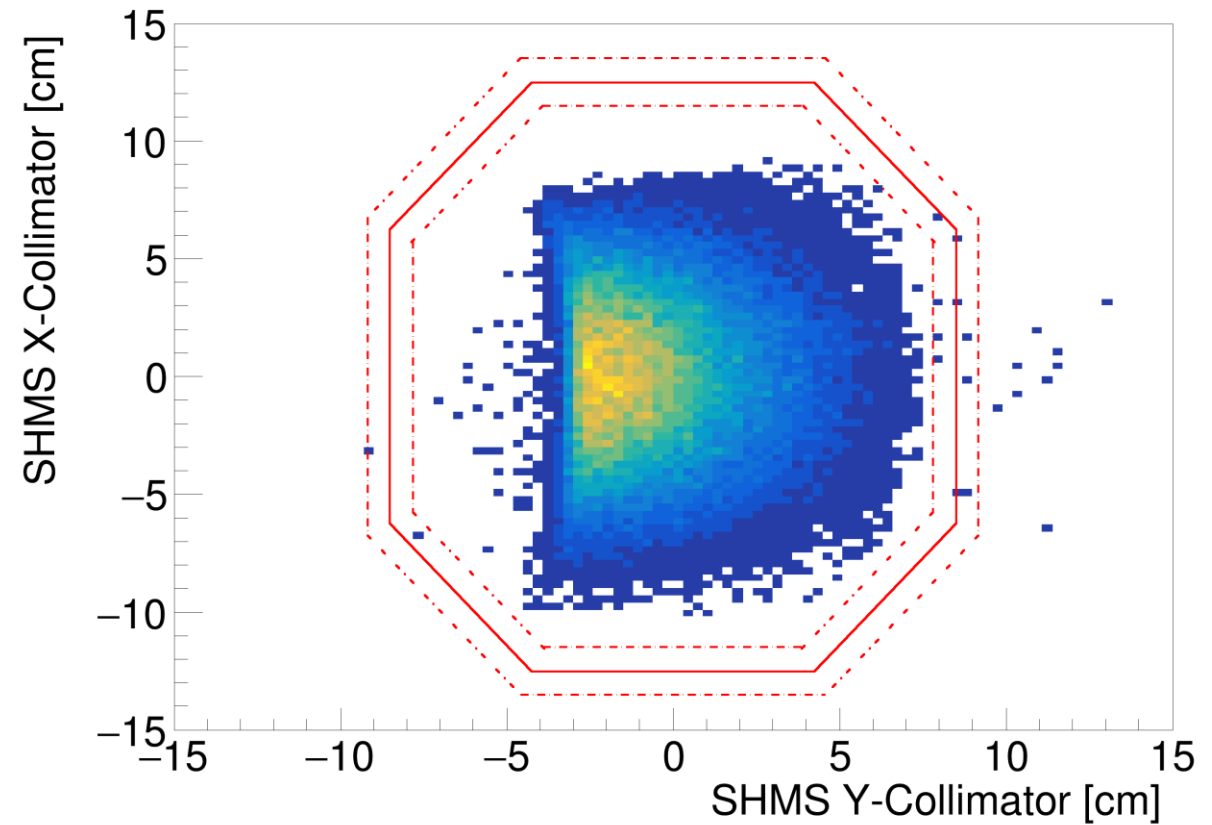
- Examine how sensitive the data is to cuts (systematic uncertainty)
- Data Selection Cuts (and  $2\sigma$  cut variations)
  - PID
    - $0.8 < \frac{E_{\text{tot}}}{P_{\text{cent}}} < 1.3$
    - $-2.0 < \text{ep Coin Time} < 2 \text{ ns}$
  - Acceptance
    - Collimator Cut  $\pm 8 \%$
  - Kinematics
    - $Q^2 > 1.8 \pm 0.1 \text{ GeV}/c^2$
    - MF
      - $P_m < 0.27 \pm 0.02 \text{ GeV}/c$
      - $-0.02 < E_m < 0.09 \pm 0.005 \text{ GeV}$
    - SRC
      - $0.375 \pm 0.025 < P_m < 0.7 \pm 0.1 \text{ GeV}/c$
      - $x_{\text{bj}} > 1.2 \pm 0.1$
      - $\theta_{\text{rq}} < 40 \pm 4 \text{ deg}$

# MF HMS & SHMS Collimator Cuts ( $\pm 2\sigma$ )

HMS Collimator

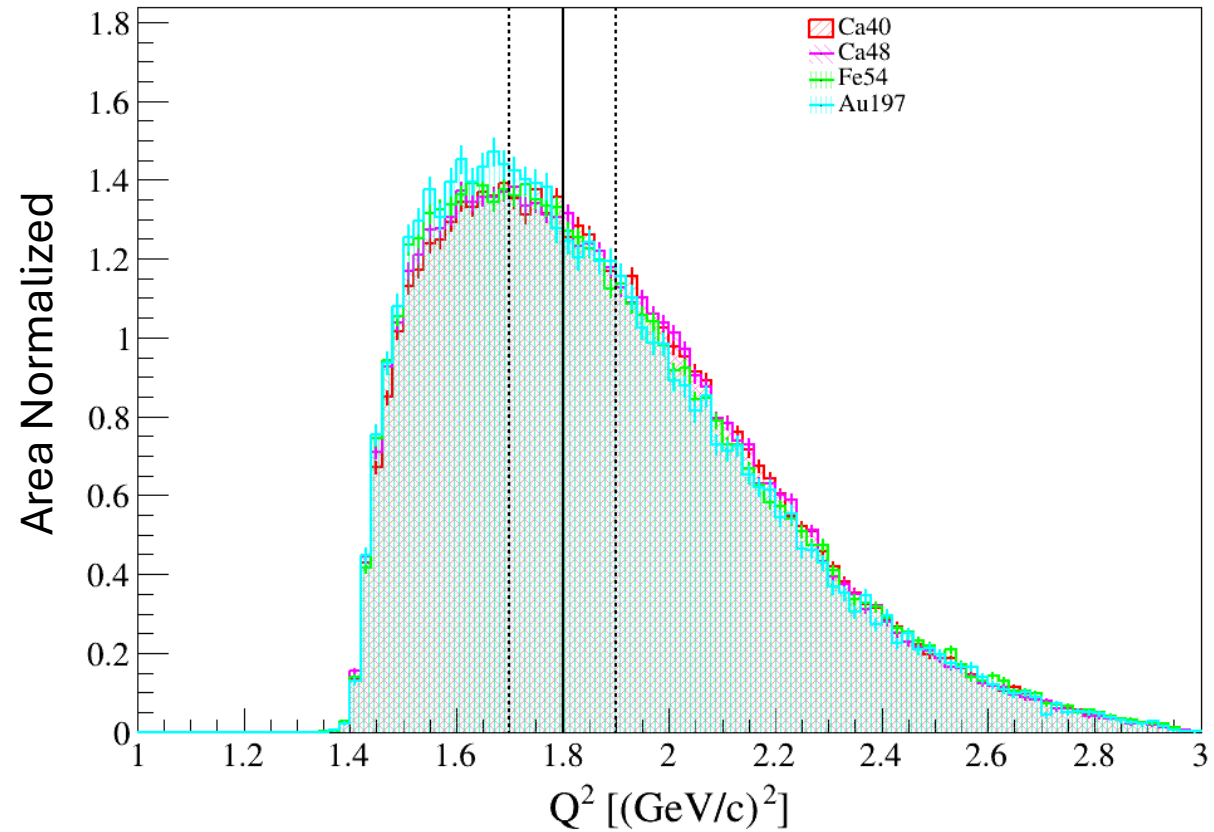


SHMS Collimator

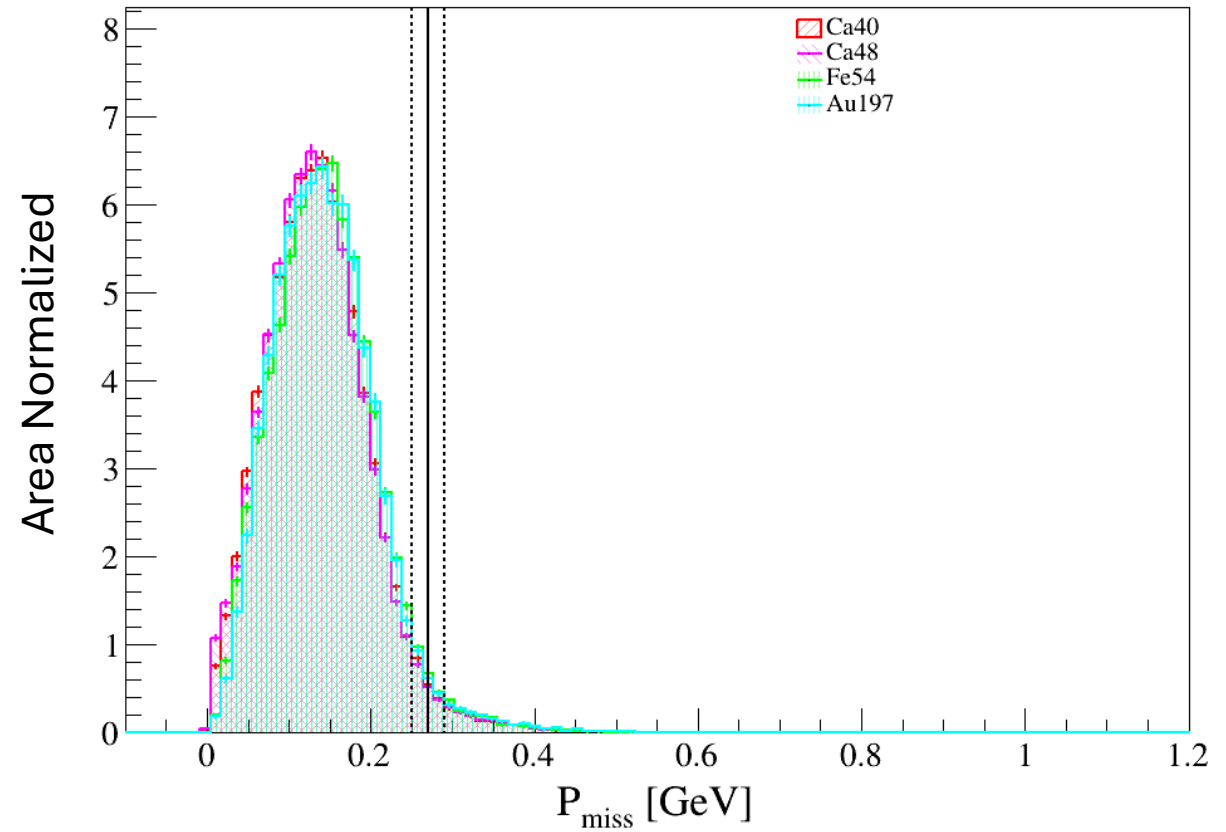


# MF $Q^2$ & $P_m$ Cuts ( $\pm 2\sigma$ )

Heavy MF 4-Momentum Transfer

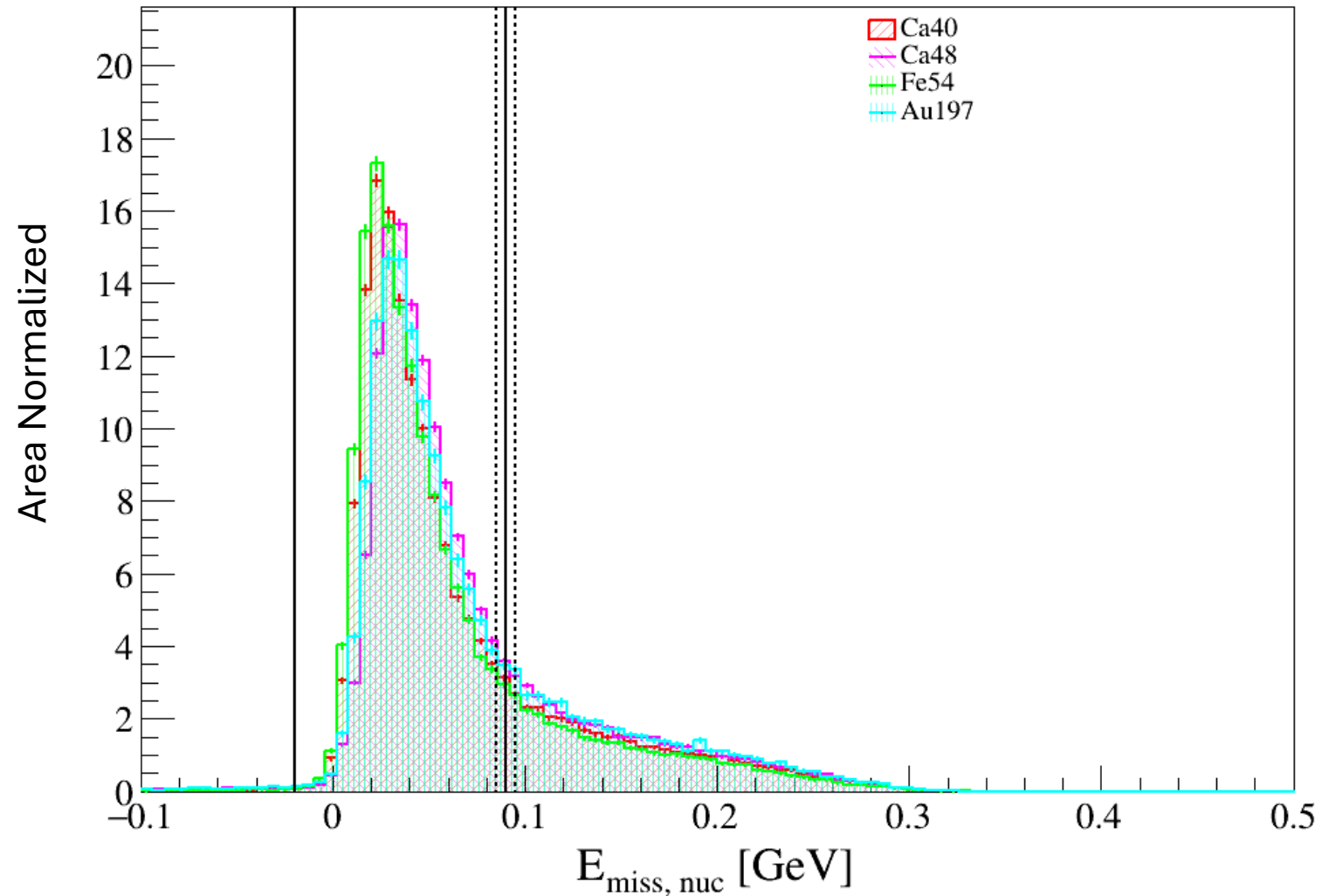


Heavy MF Missing Momentum

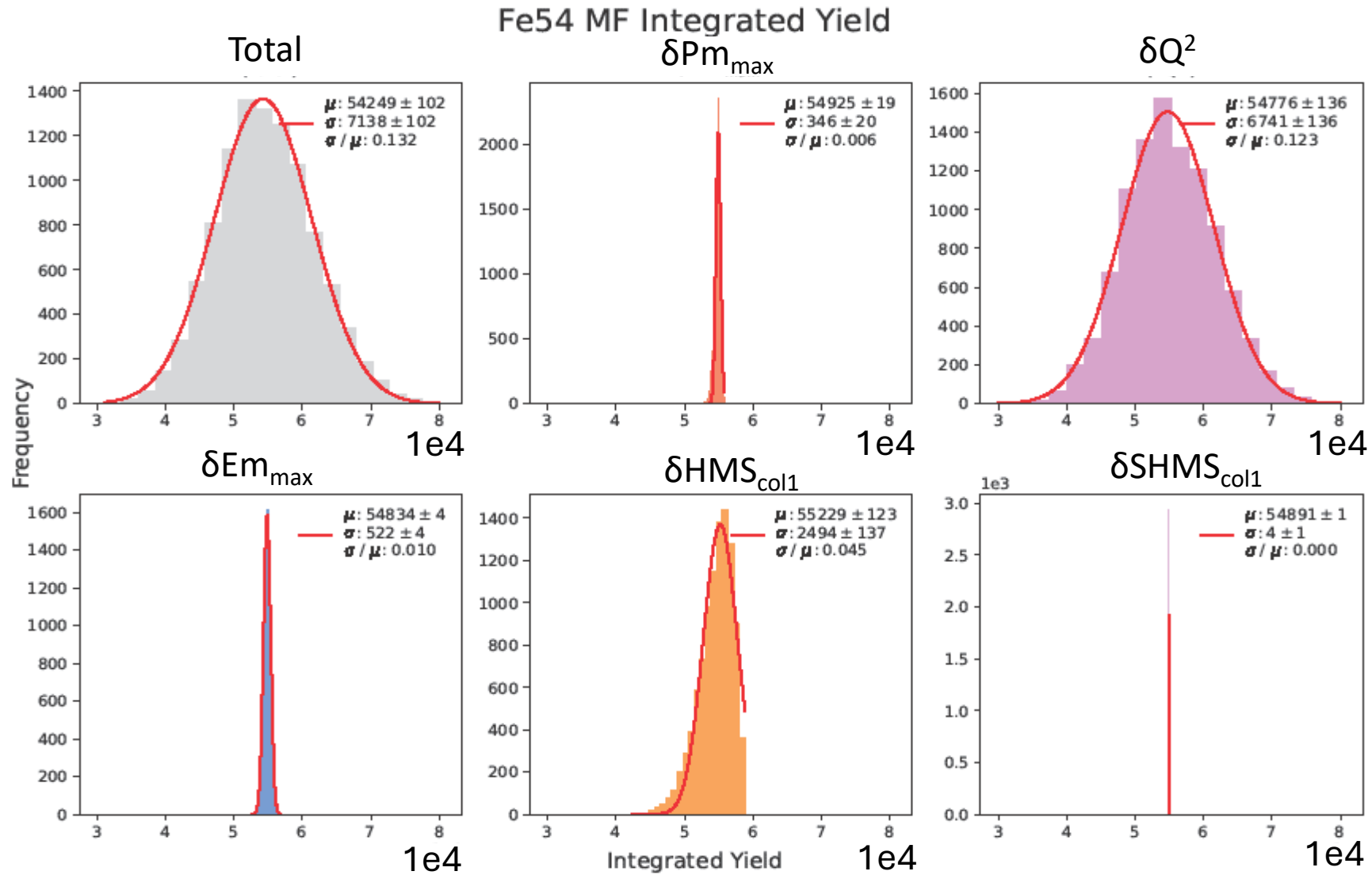


# MF $E_m$ Cuts ( $\pm 2\sigma$ )

Heavy MF Missing Energy (Nuclear Physics)



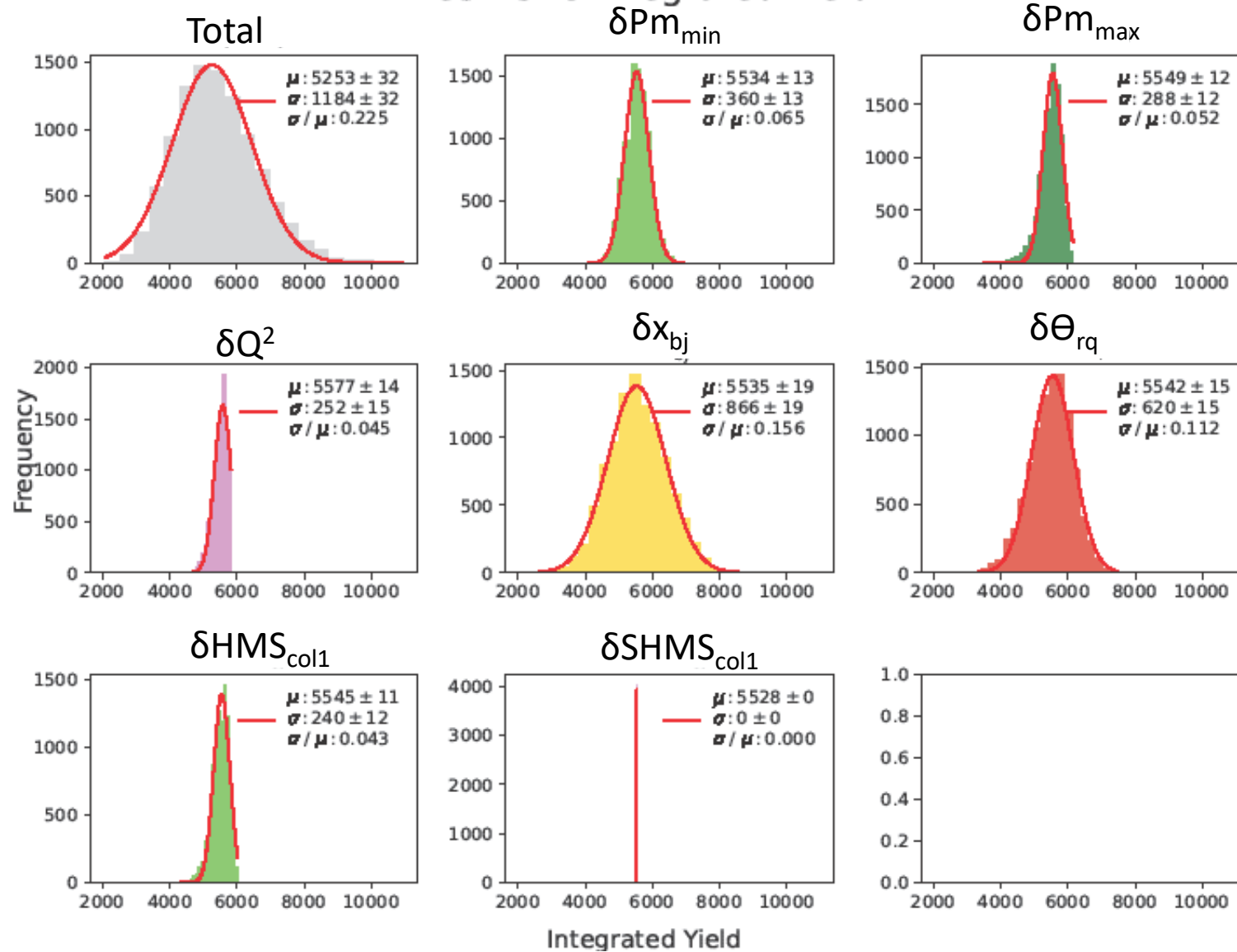
# Mean and $\sigma/\text{mean}$ : MF



$\sigma/\text{mean} \approx 13\%$  for all targets

# Mean and $\sigma/\text{mean}$ : SRC

Fe54 SRC Integrated Yield



$\sigma/\text{mean} \approx 22\%$  for all targets

# Cut Variation: Single & Double Ratios

Ratios to C							
Single Ratio (%)	Be9/C12	B10/C12	B11/C12	Ca40/C12	Ca48/C12	Fe54/C12	Au197/C12
$\sigma/\mu$ (MF)	0.4	0.2	0.1	0.3	0.5	0.3	0.7
$\sigma/\mu$ (SRC)	1.3	1.0	0.9	2.2	3.1	2.4	4.9
Double Ratio (%)	Be9/C12	B10/C12	B11/C12	Ca40/C12	Ca48/C12	Fe54/C12	Au197/C12
$\sigma/\mu$	1.4	1.0	0.9	2.2	3.1	2.4	4.9

Other Ratios			
Single Ratio (%)	Fe54/Ca48	Fe54/Ca40	Ca40/Ca48
$\sigma/\mu$ (MF)	0.3	0.4	0.3
$\sigma/\mu$ (SRC)	0.7	1.0	1.0
Double Ratio (%)	Fe54/Ca48	Fe54/Ca40	Ca40/Ca48
$\sigma/\mu$	0.8	1.1	1

SRC uncertainties dominate and increase with larger differences between nuclei.



# Systematic Uncertainties CaFe Triplet

Systematic Uncertainties (%)				
Ratio	Radiative Correction	Transparency	Cut Variation	Total
MF Single Ratio				
Ca40/Ca48	0	1	1	<b>1.4</b>
Fe54/Ca48	2.5	1	1	<b>2.9</b>
SRC Single Ratio				
Ca40/Ca48	0	1	1	<b>1.4</b>
Fe54/Ca48	2.5	1	1	<b>2.9</b>
Double Ratio				
Ca40/Ca48	1	1	0	<b>1.4</b>
Fe54/Ca48	1	1	0	<b>1.4</b>

# Ratios

- Single

- $R = \frac{Y_A}{Y_{C12}}$

- Double

- Normalization Factors Cancel

- MF should be proportional to number protons

- SRC should reflect probability of being in SRC

- Additional Corrections for

- Random coincidences
  - Oil contamination (Ca targets)
  - Isotopic Impurity (Ca48 90.5%)
  - Chemical Impurity (B<sub>4</sub>C)

$$Y_A : \frac{N}{Q \cdot \epsilon_i \cdot T_N \cdot \sigma_t \cdot Z/A}$$

$Y_A$  : nucleus A yield

$N$  : ( $e, e'p$ ) coincidence counts

$Q$  : total charge [mC]

$\epsilon_i$  : detector/DAQ efficiencies

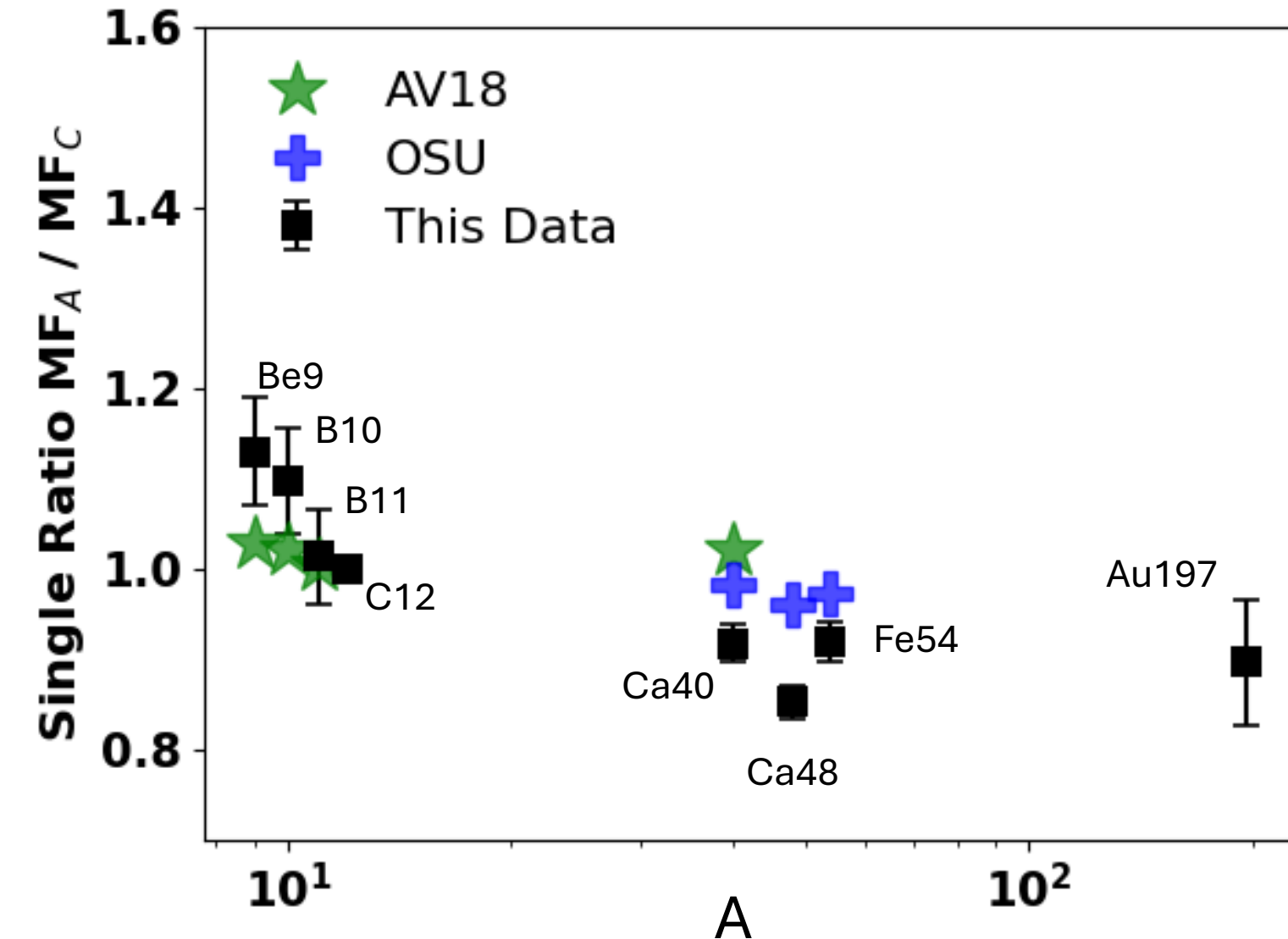
$T_N$  : nuclear transparency

$\sigma_t$  : target thickness [g/cm<sup>2</sup>]

## Double Ratios

$$\frac{A(e, e'p)^{SRC} / A(e, e'p)^{MF}}{^{12}\text{C}(e, e'p)^{SRC} / ^{12}\text{C}(e, e'p)^{MF}}$$

# MF Single Ratio

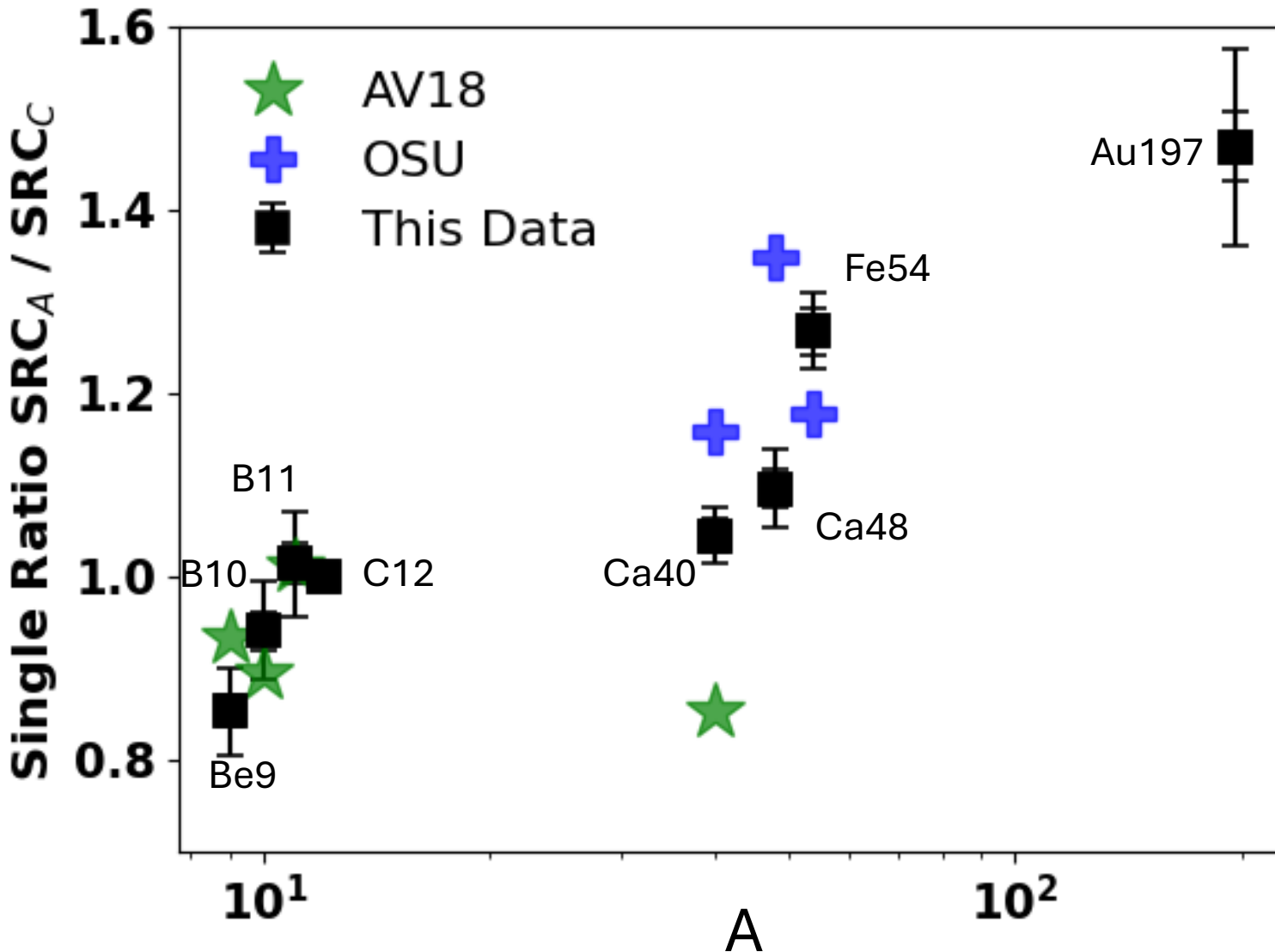


- MF Single Ratio decreases with A
- Models are flat

[R.J.Furnstahl et al. arXiv:2402.00634v2 \(OSU\)](#)

[Wiringa et al. Phys.Rev.C89 \(AV18\)](#)

# SRC Single Ratios



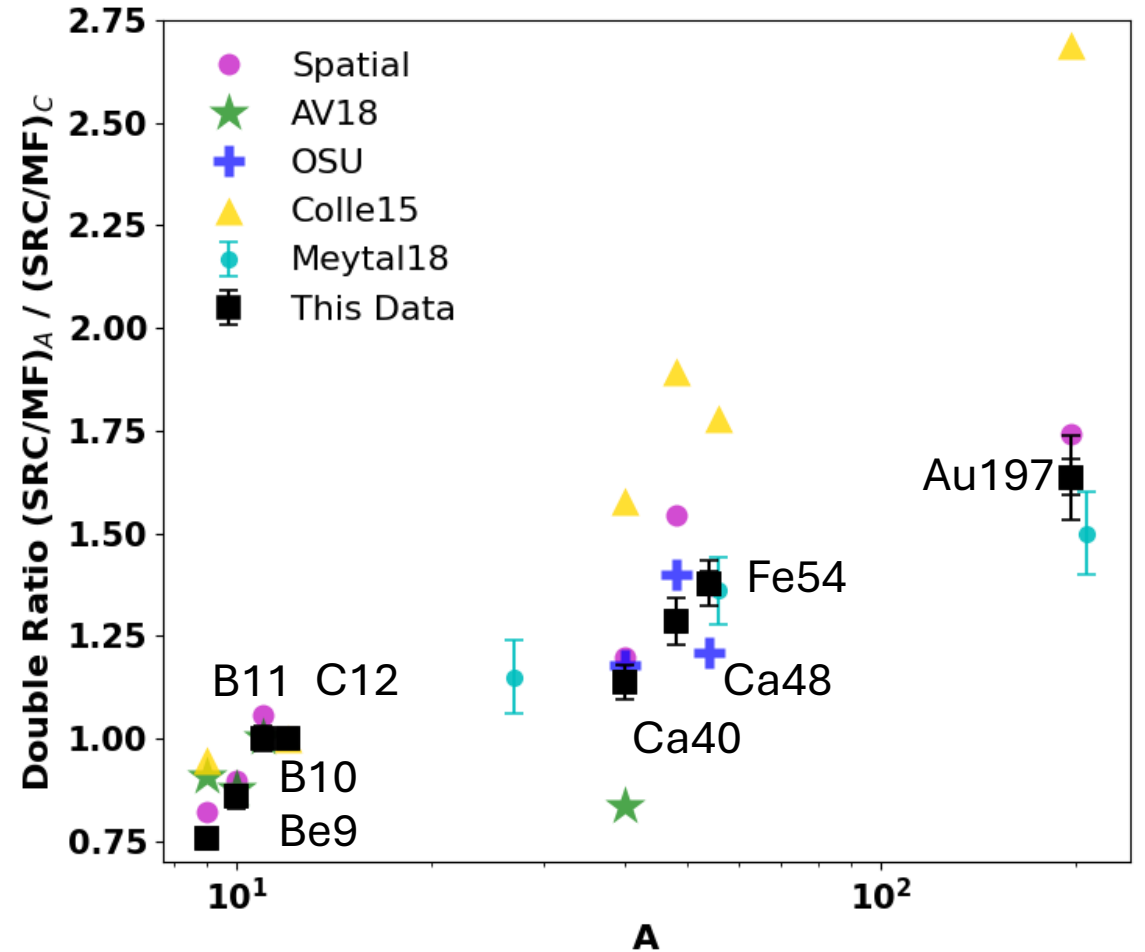
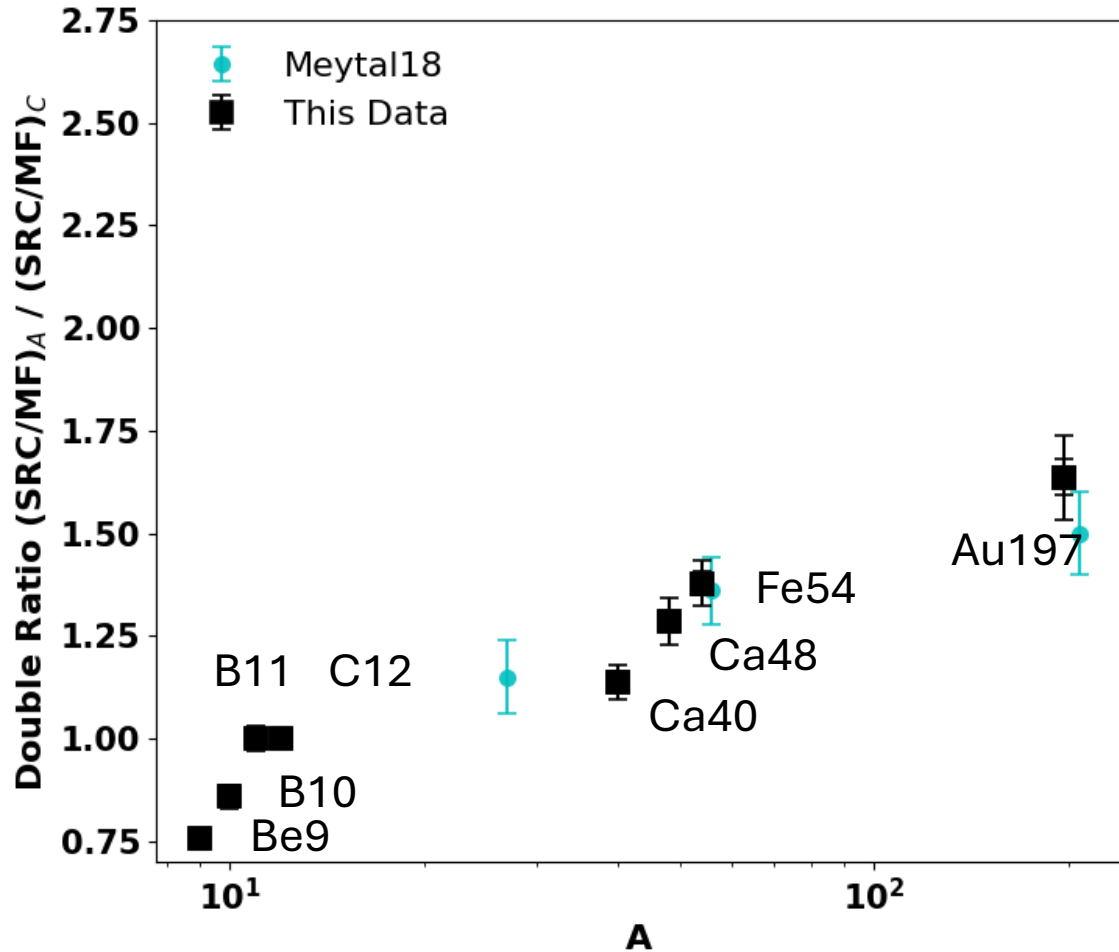
- SRC Single Ratio increases with A

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[Wiringa et al, Phys.Rev.C89 \(AV18\)](#)

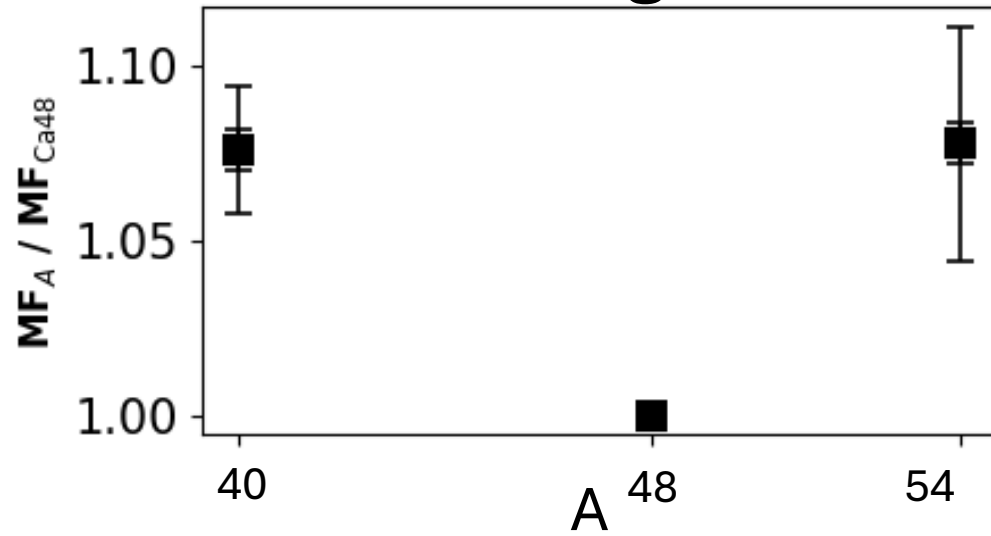
# Double Ratio vs A

Double Ratio increases with A

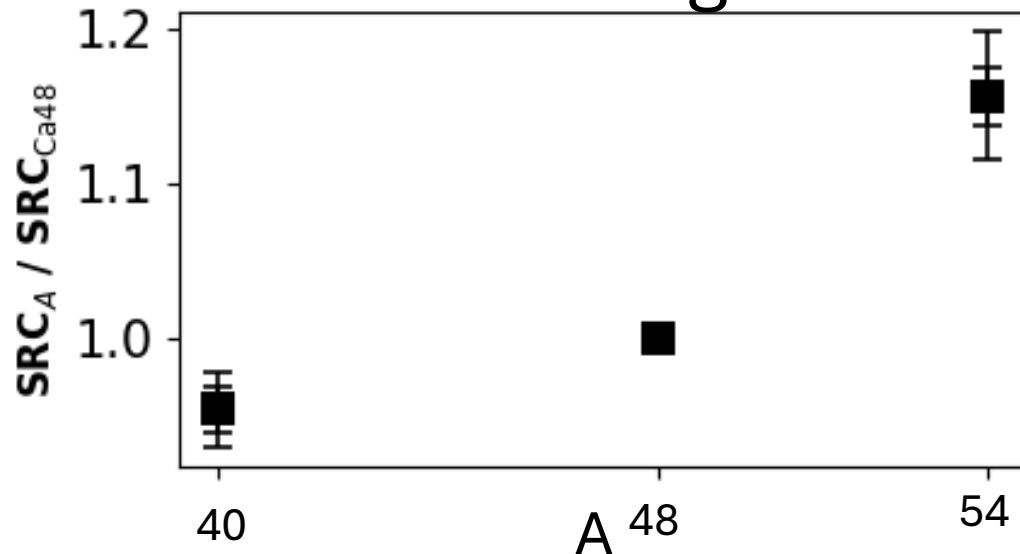


# Triplet Ratios

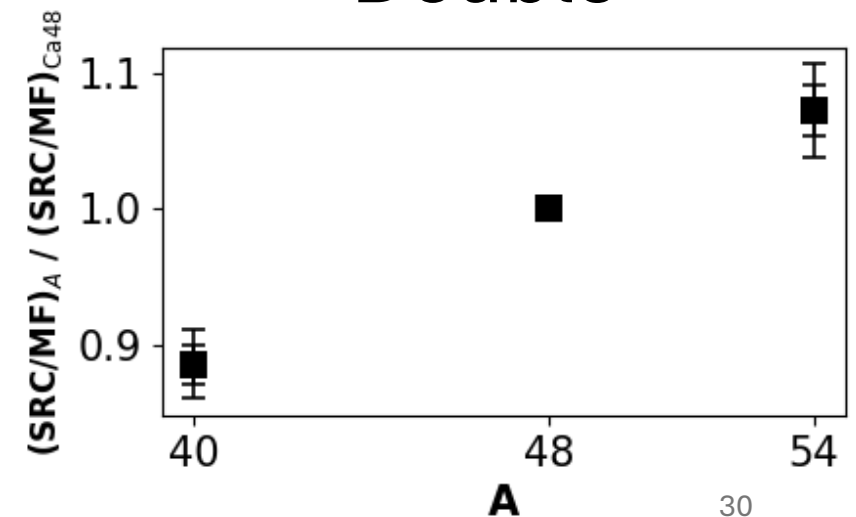
## MF Single



## SRC Single



## Double



- The MF accounts for ~70% of all nucleons
- Therefore, a small decrease in the MF single ratio should correspond to a large increase in the SRC single ratio
- We don't see this
- Ca48 target made in house

# Conclusion

- Double Ratio generally increase with A
  - Linear increase within both Be9-B10-B11-C12 and Ca40-Ca48-Fe54
- Possible Ca48 target thickness issue?
- CaFe Triplet Double Ratio
  - Adding 8 neutrons increases correlated protons by ~11%
  - Adding 6 protons increases correlated protons by ~7%
    - Calculations predict decrease
  - Importance of shell effects?

# Questions?



Back up

# Calculating Electron Cross Section

- $N_{events\ into\ solid\ angle\ \Delta\Omega} = Data\ Counts * SIMC\ Ratio$
- $N_{incident} = \frac{Q(C)}{1.602 * 10^{-19}(C)}$
- $nx = \rho_{H2} * Target\ Length * N_A$ 
  - Target Length modified by z-Target cut
- Electron solid angle modified by hxptar and hyptar cuts

## Central Kinematics

```
H(e,e'p) Elastics for
Beam Energy (Eb) = 10.549 GeV
e- angle (th_e) = 8.300 deg
-----
e- momentum (kf)      = 9.438 GeV/c
proton angle (th_p)   = 48.384 deg
proton momentum (Pf)  = 1.822 GeV/c
4-momentum transfer (Q2) = 2.086 (GeV/c)^2
3-momentum transfer (|q|) = 1.822 GeV/c
energy transfer       = 1.111 GeV
x-Bjorken            = 1.000
-----
```

## H(e, e') Cross Section @ Central Kinematics

```
H(e,e') Elastic Cross Section:
Eb = 10549.0 MeV
kf = 9438.0 MeV
th_e = 8.3 deg
d_sig/d_omega_e [ub/sr] (Bosted parametrization) = 2.449E-02
d_sig/d_omega_e [ub/sr] (Arrington parametrization) = 2.409E-02
```

- Use J. Arrington form-factor parametrization (more recent)

## Definition of cross section for scattering or reactions

Let  $N_{incident}$  = number of incident (beam) particles  
 $N_{events}$  = number of events (beam-target interactions)

$$n = \text{target atoms per unit volume} = \frac{\rho N_{Avogadro}}{A}$$

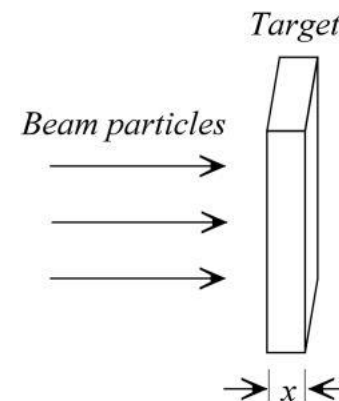
$A$  = mass number of target (assuming a single pure isotope)

$\rho$  = mass density of target ( $\text{g/cm}^3$ )

$x$  = thickness of target (cm)

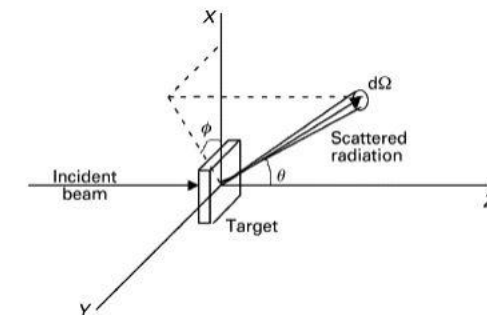
$\rho x$  = areal density of target ( $\text{g/cm}^2$ )

$$nx = \text{areal number density (atoms/cm}^2) = \frac{\rho x N_{Avogadro}}{A}$$



$$N_{events\ into\ solid\ angle\ \Delta\Omega_e} = N_{incident} nx \frac{d\sigma}{d\Omega_e} \Delta\Omega_e$$

Need to determine total # of H atoms per area that contaminate the Ca48 target



# Solid Angle

$$N_{\text{events into solid angle } \Delta\Omega_e} = N_{\text{incident}} n x \frac{d\sigma}{d\Omega_e} \Delta\Omega_e$$

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$$N_{\text{events into solid angle } \Delta\Omega_e} = N_{\text{incident}} n x \frac{d\sigma}{d\Omega_e} \Delta\Omega_e$$

$$\Delta\Omega_e = \Delta\Omega_p \times \frac{d\theta_e}{d\theta_p} \times \frac{d\phi_e}{d\phi_p}$$

"HMS Solid Angle" "In-plane" "Out-of-plane"

$$\Delta\Omega_e = \Delta\Omega_p \times \frac{d\theta_e}{d\theta_p} \times \frac{d\phi_e}{d\phi_p}$$

"HMS Solid Angle"

$$\Delta\Omega_e = \Delta\Omega_p \times \frac{d\theta_e}{d\theta_p} \times \frac{d\phi_e}{d\phi_p}$$

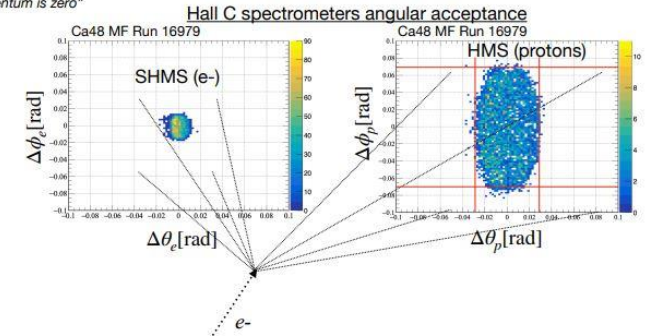
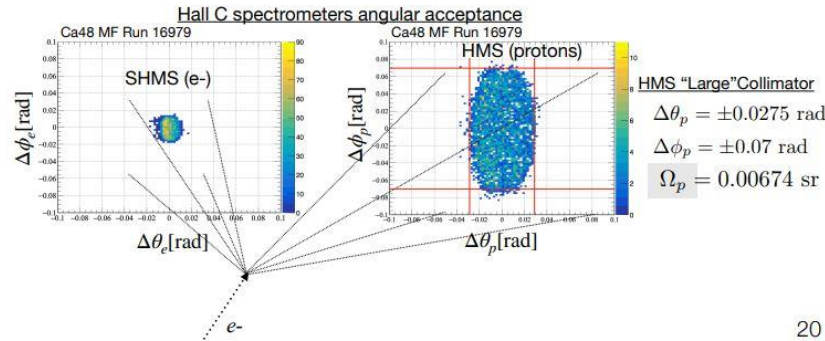
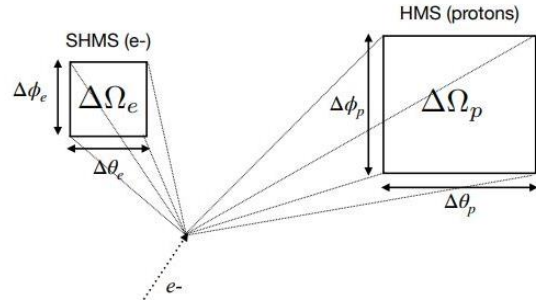
"Out-of-plane"

Momentum conservation (out-of-plane):

$$k_{i,\perp} = |k_f| \sin(\phi_e) + |p_f| \sin(\phi_p) = 0 \Rightarrow \frac{\delta\phi_e}{\delta\phi_p} \sim \frac{|p_f|}{|k_f|} = \frac{1.822 \text{ GeV}/c}{9.438 \text{ GeV}/c} \sim 0.193$$

"⊥ component of beam momentum is zero"

Hall C spectrometers angular acceptance



20

21

$$N_{\text{events into solid angle } \Delta\Omega_e} = N_{\text{incident}} n x \frac{d\sigma}{d\Omega_e} \Delta\Omega_e$$

$$N_{\text{events into solid angle } \Delta\Omega_e} = N_{\text{incident}} n x \frac{d\sigma}{d\Omega_e} \Delta\Omega_e$$

numerical approach

<p>H(e,e'p) Elastics for Beam Energy (Eb) = 10.549 GeV e- angle (th_e) = 8.288 deg e- momentum (kf) = 9.443 GeV/c proton angle (th_p) = 48.738 deg</p>
<p>H(e,e'p) Elastics for Beam Energy (Eb) = 10.549 GeV e- angle (th_e) = 8.388 deg e- momentum (kf) = 9.438 GeV/c proton angle (th_p) = 48.384 deg</p>
<p>H(e,e'p) Elastics for Beam Energy (Eb) = 10.549 GeV e- angle (th_e) = 8.488 deg e- momentum (kf) = 9.434 GeV/c proton angle (th_p) = 48.842 deg</p>

$$\Delta\Omega_e = \Delta\Omega_p \times \frac{d\theta_e}{d\theta_p} \times \frac{d\phi_e}{d\phi_p}$$

"In-plane"

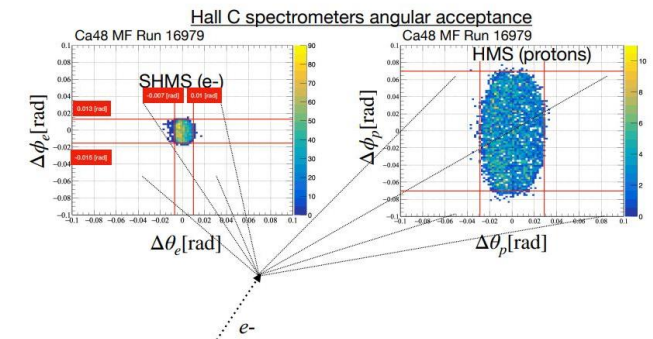
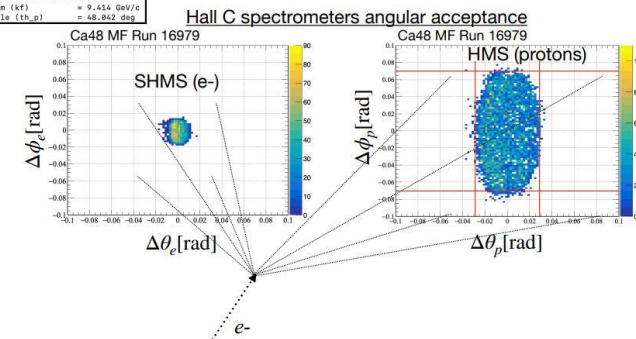
"In-plane" (numerical approach):  
vary in-plane (e-) angle by ~ +/- 0.1 deg  
and determine the variation in proton angle

$$\frac{\delta\theta_e}{\delta\theta_p} \sim 0.2907$$

$$\Delta\Omega_e = \Delta\Omega_p \times \frac{d\theta_e}{d\theta_p} \times \frac{d\phi_e}{d\phi_p}$$

$\Omega_p \sim 0.00674 \text{ sr}$   
 $\frac{\delta\theta_e}{\delta\theta_p} \sim 0.2907$   
 $\frac{\delta\phi_e}{\delta\phi_p} \sim 0.193$

$$\Delta\Omega_e \sim 0.000378 \text{ sr}$$



22

23

# Electron Cross Section Ratio (e,e') Data

- $$\frac{d\sigma}{d\Omega_e} = \frac{N_{events\ into\ solid\ angle}}{N_{incident} * n_x * d\Omega_e}$$

e,e'									
loose rad (e,e') cuts									
Raw Count	Norad Count	Rad Count	Rad Corr	q (mC)	Nicident	n <sub>x</sub> (atoms / cm <sup>2</sup> )	ΔΩ <sub>e</sub> (sr)	dσ/dΩ <sub>e</sub> (μb/sr)	Norm
26293	410267.38	224189.82	1.83	19.284	1.20E+17	4.35E+23	3.78E-04	2.07E-02	0.859
tight rad (e,e') cuts									
Raw Count	Norad Count	Rad Count	Rad Corr	q (mC)	Nicident	n <sub>x</sub> (atoms / cm <sup>2</sup> )	ΔΩ <sub>e</sub> (sr)	dσ/dΩ <sub>e</sub> (μb/sr)	Norm
2996	53625.03	29303.30	1.83	19.284	1.20E+17	1.74E+23	1.08E-04	2.37E-02	0.983

# Electron Cross Section Ratio (e,e'p) Data

- $$\frac{d\sigma}{d\Omega_e} = \frac{N_{events\ into\ solid\ angle}}{N_{incident} * n_x * d\Omega_e}$$

e,e'p									
loose rad (e,e'p) cuts									
Raw Count	Norad Count	Rad Count	Rad Corr	q (mC)	Nicident	n <sub>x</sub> (atoms / cm <sup>2</sup> )	ΔΩ <sub>e</sub> (sr)	dσ/dΩ <sub>e</sub> (μb/sr)	Norm
205041	500254.81	273363.28	1.83	26.61	1.66E+17	4.35E+23	3.78E-04	1.83E-02	0.760
tight rad (e,e'p) cuts									
Raw Count	Norad Count	Rad Count	Rad Corr	q (mC)	Nicident	n <sub>x</sub> (atoms / cm <sup>2</sup> )	ΔΩ <sub>e</sub> (sr)	dσ/dΩ <sub>e</sub> (μb/sr)	Norm
30823	81242.86	44395.01	1.83	26.61	1.66E+17	1.74E+23	1.08E-04	2.60E-02	1.079

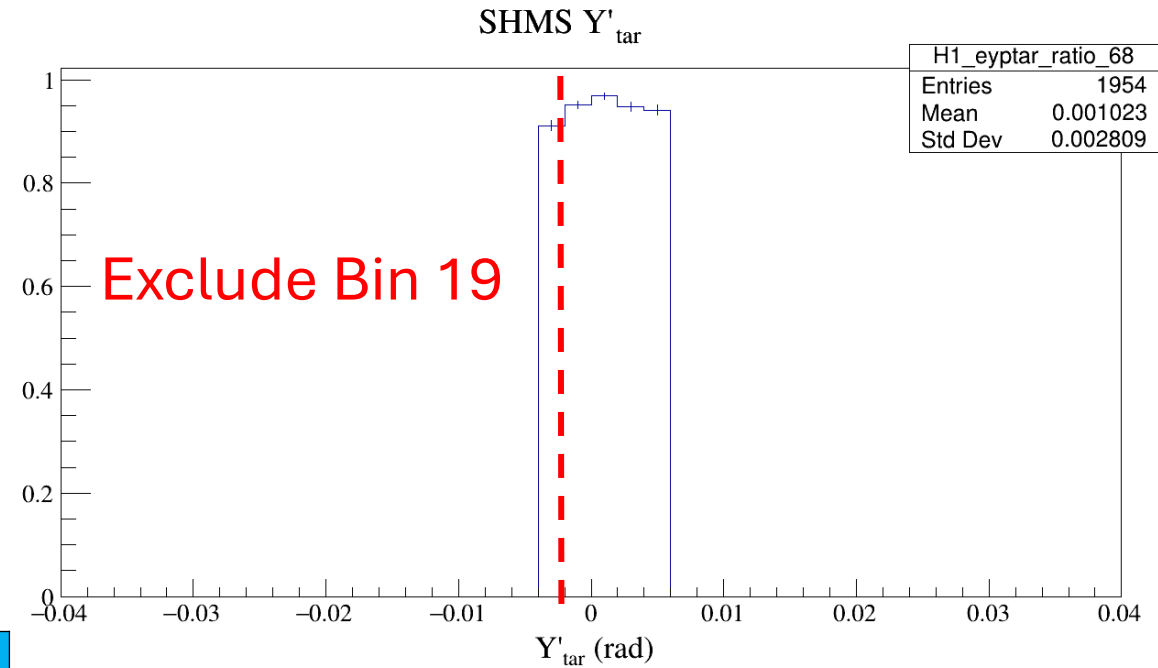
# Electron Cross Section Ratio SIMC

- $$\frac{d\sigma}{d\Omega_e} = \frac{N_{events\ into\ solid\ angle}}{N_{incident} * n_x * d\Omega_e}$$

Simulation									
loose rad (e,e'p) cuts									
Raw Count	Norad Count	Rad Count	Rad Corr	q (mC)	Nicident	nx (atoms / cm <sup>2</sup> )	$\Delta\Omega_e$ (sr)	$d\sigma/d\Omega_e$ ( $\mu\text{b/sr}$ )	Norm
1034393	442391.78	260091.86	1.70	26.61	1.66E+17	4.35E+23	3.78E-04	1.62E-02	0.672
tight rad (e,e'p) cuts									
Raw Count	Norad Count	Rad Count	Rad Corr	q (mC)	Nicident	nx (atoms / cm <sup>2</sup> )	$\Delta\Omega_e$ (sr)	$d\sigma/d\Omega_e$ ( $\mu\text{b/sr}$ )	Norm
116625	74182.28	48370.63	1.53	26.61	1.66E+17	1.74E+23	1.08E-04	2.37E-02	0.986
loose rad (e,e') cuts									
Raw Count	Norad Count	Rad Count	Rad Corr	q (mC)	Nicident	nx (atoms / cm <sup>2</sup> )	$\Delta\Omega_e$ (sr)	$d\sigma/d\Omega_e$ ( $\mu\text{b/sr}$ )	Norm
625496	429131.21	250013.25	1.72	19.284	1.20E+17	4.35E+23	3.78E-04	2.17E-02	0.899
tight rad (e,e') cuts									
Raw Count	Norad Count	Rad Count	Rad Corr	q (mC)	Nicident	nx (atoms / cm <sup>2</sup> )	$\Delta\Omega_e$ (sr)	$d\sigma/d\Omega_e$ ( $\mu\text{b/sr}$ )	Norm
70140	53874.13	31529.92	1.71	19.284	1.20E+17	1.74E+23	1.08E-04	2.38E-02	0.988

# HMS Proton Efficiency

$$\sigma_{ratio}^{exact} = \sqrt{\text{should} \frac{did}{\text{should}} \left(1 - \frac{did}{\text{should}}\right) / \text{should}}$$

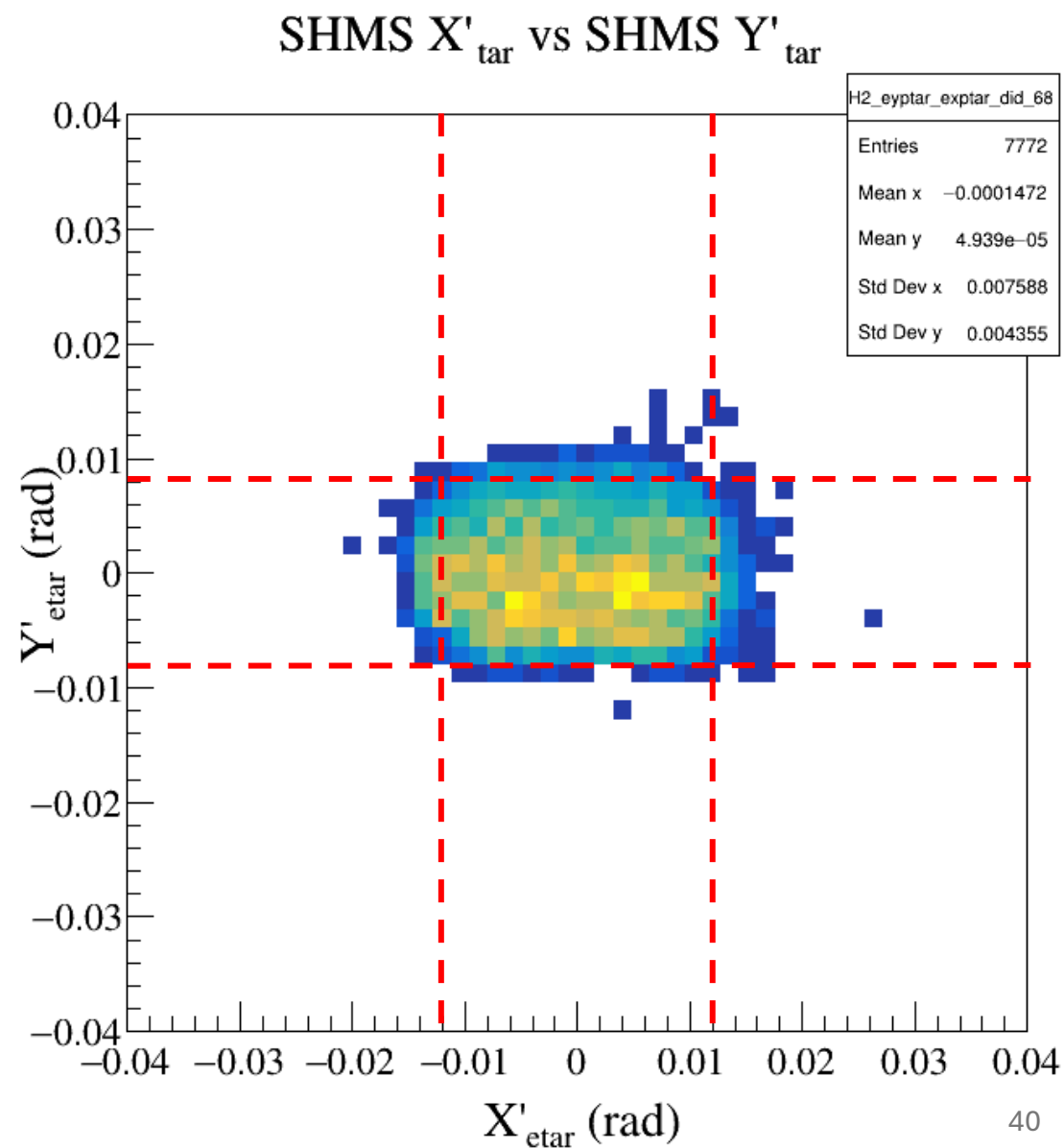
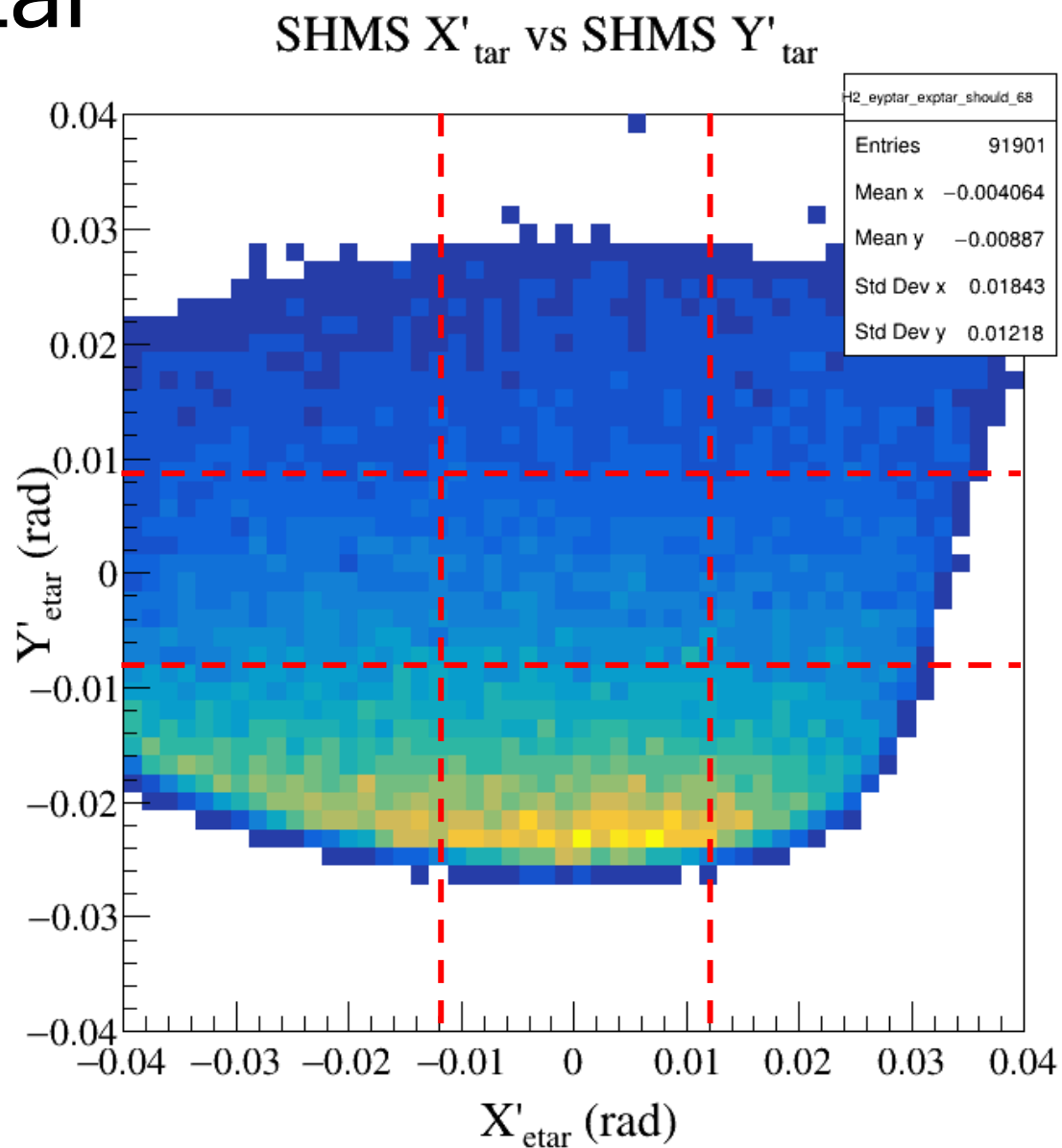


SHMS Y'tar							
Bin	Should Count	Did Count	$\sigma_{approx}$	$\sigma_{exact}$	Did/Should	Weight	Numerator
19	1012	919.8	0.009	0.009	0.91	12216.4	11102.9
20	960	907.7	0.008	0.007	0.95	18644.5	17629.2
21	873	845.5	0.006	0.006	0.97	28652.5	27751.1
22	713	680.0	0.008	0.008	0.95	16171.4	15423.8
23	669	628.9	0.009	0.009	0.94	11869.2	11157.5
Total	3215	3062.2	0.004	0.004			

Result		
Unweighted Proton Transmission	Weighted Proton Transmission	Uncertainty
0.952	0.955	0.004

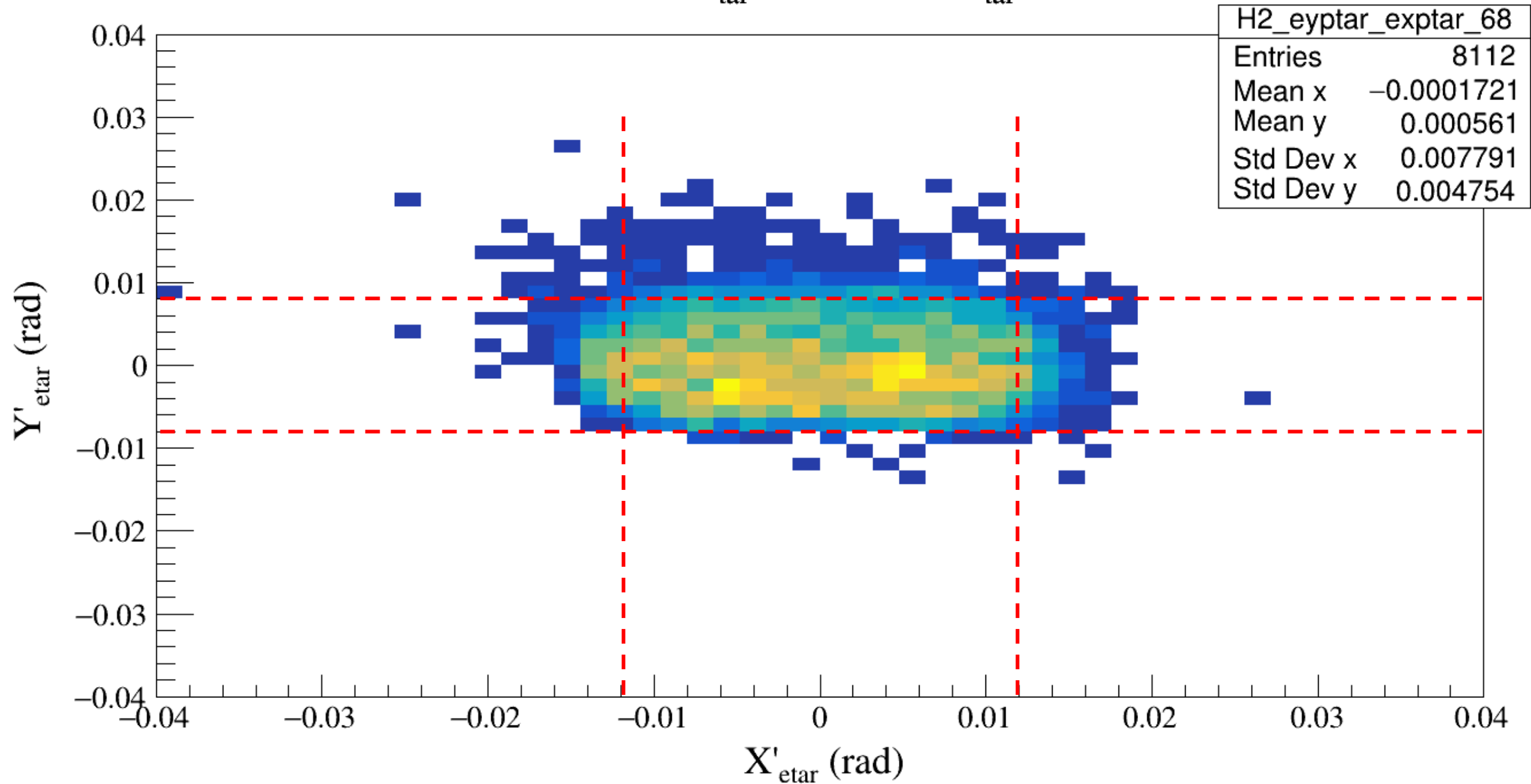
# SHMS X'tar vs SHMS

## Y'tar



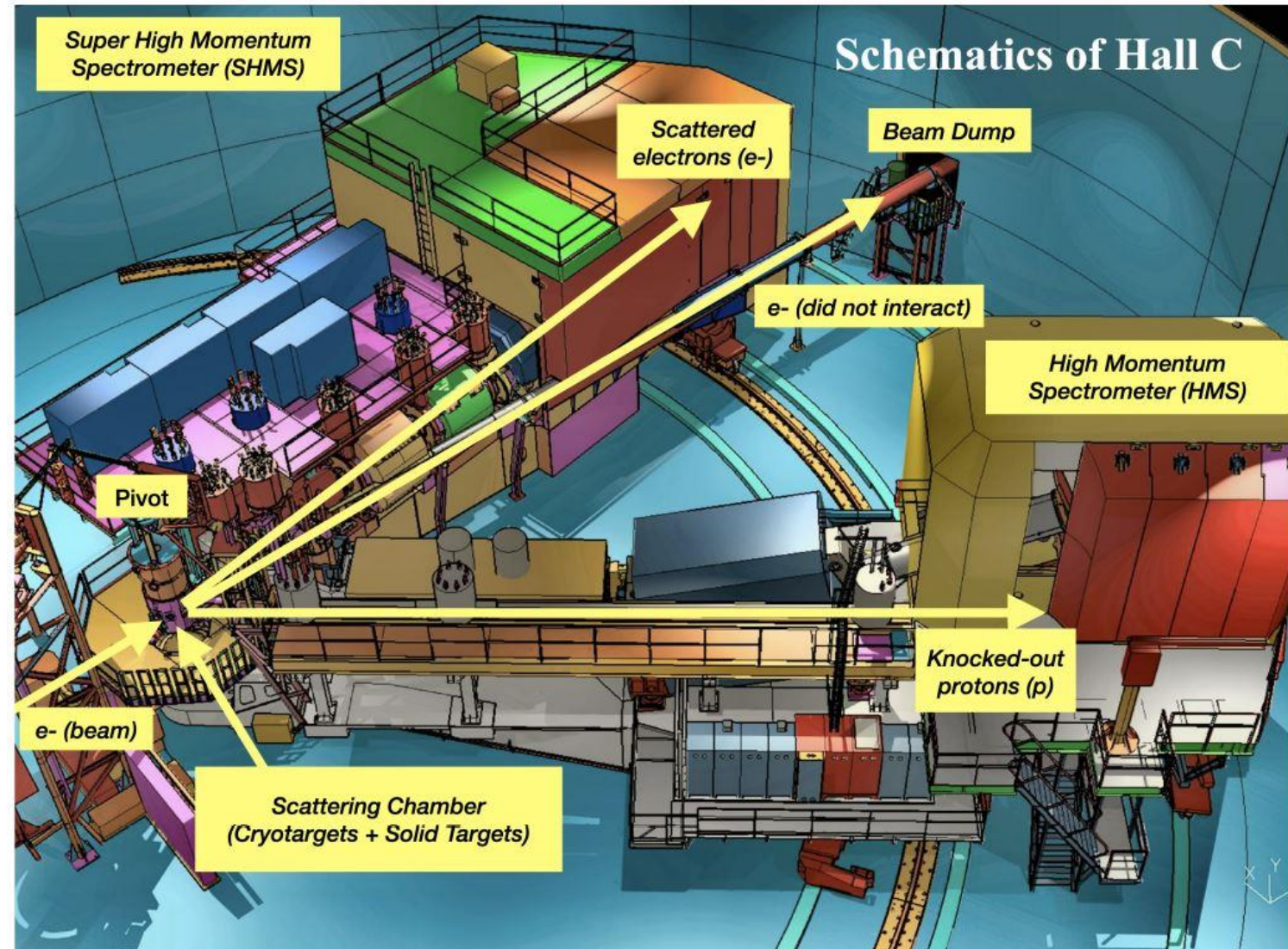


# SHMS $X'_{\text{etar}}$ vs SHMS $Y'_{\text{etar}}$



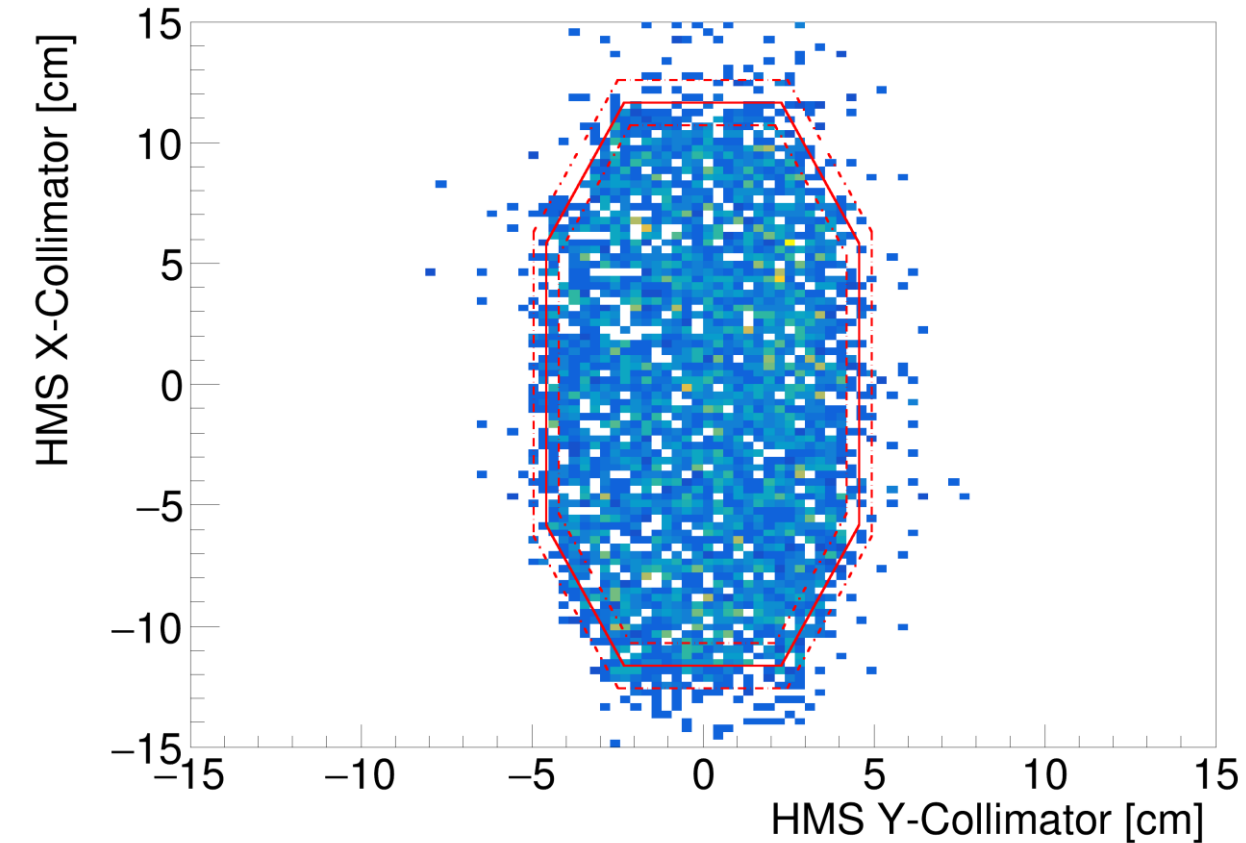
# Hall C: CaFe Experimental Setup

- $A(e,e'p)$
- 10.6 GeV
- Detect scattered electrons in the Super High Momentum Spectrometer (SHMS)
- Detect knocked-out protons in the High Momentum Spectrometer (HMS)

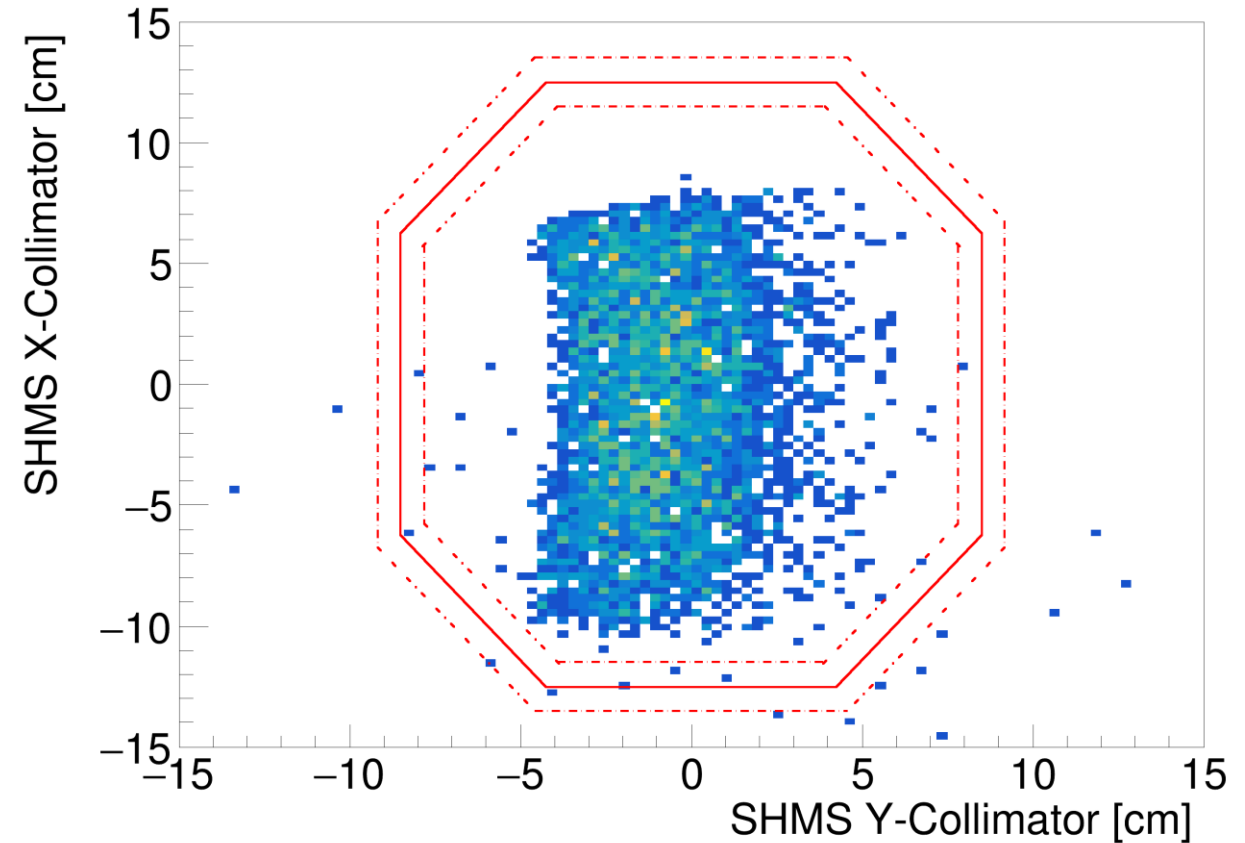


# SRC HMS & SHMS Collimator Cuts ( $\pm 2\sigma$ )

HMS Collimator

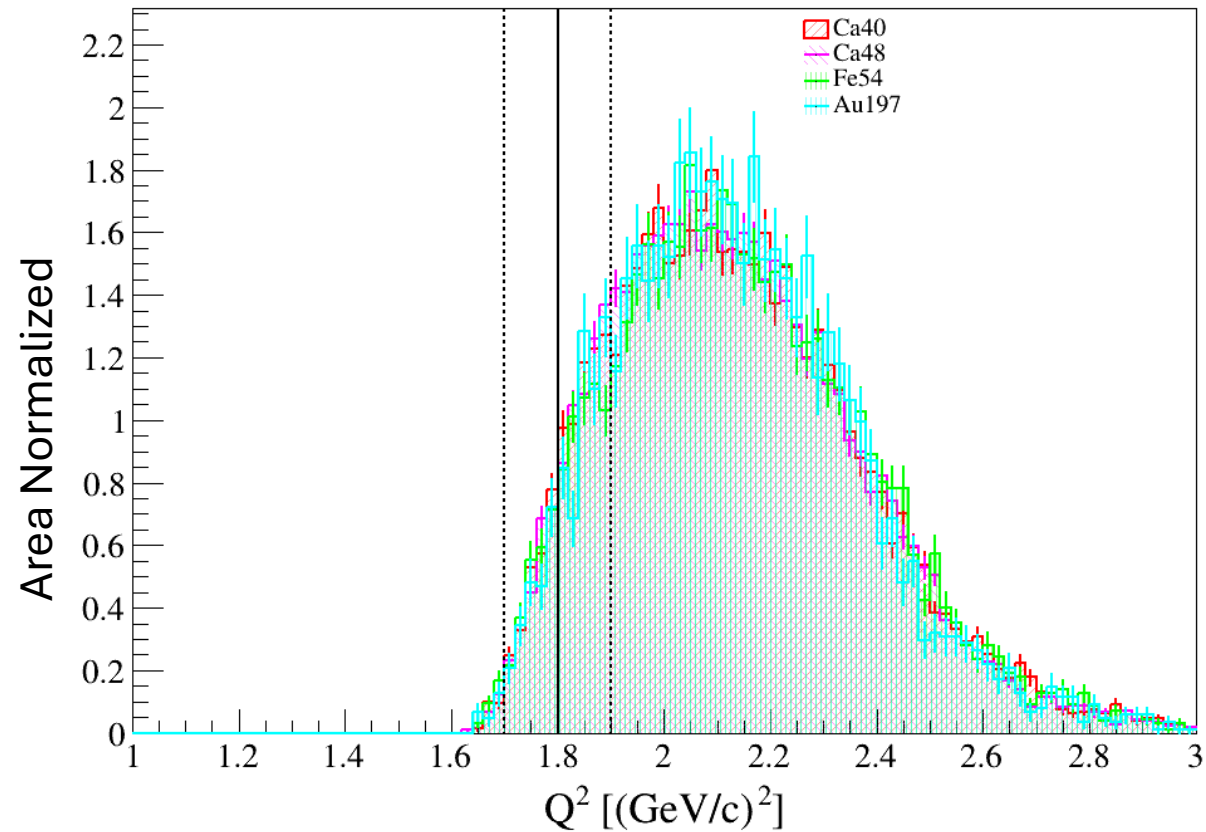


SHMS Collimator

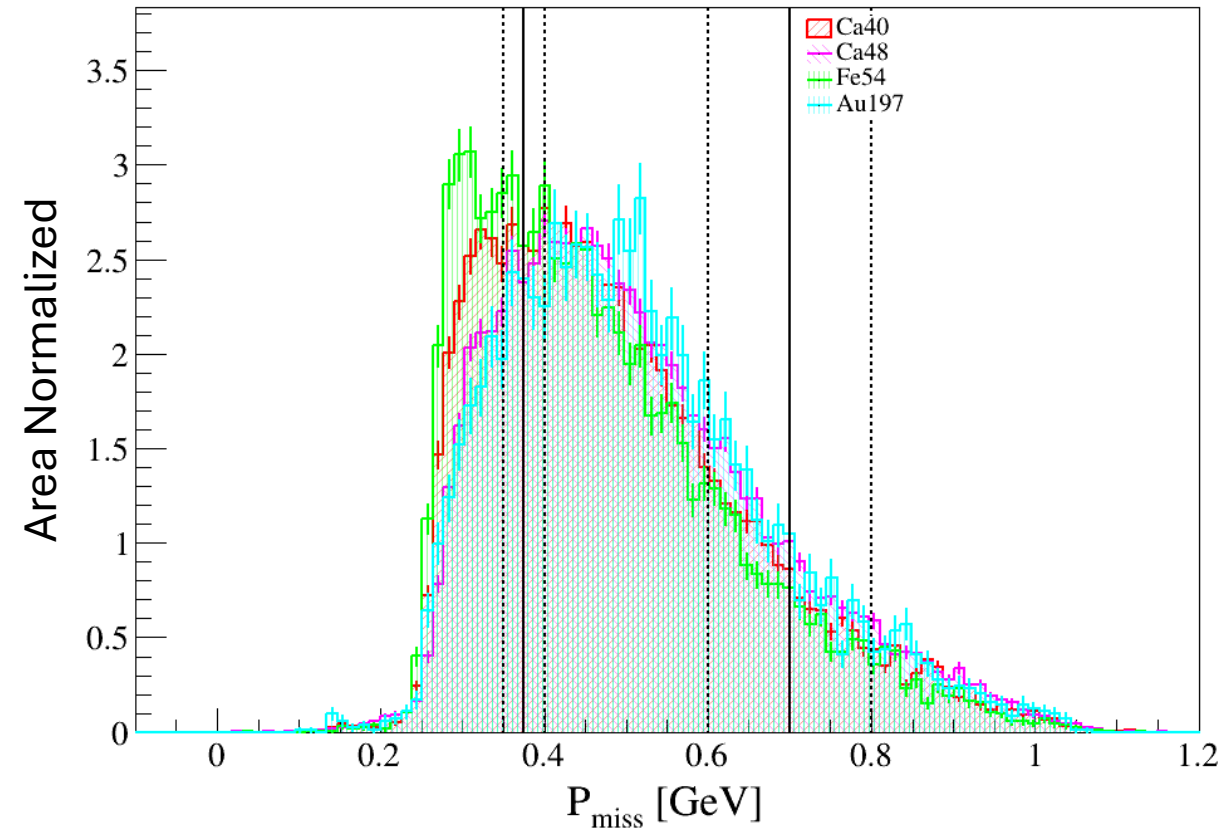


# SRC $Q^2$ & $P_m$ Cuts ( $\pm 2\sigma$ )

Heavy SRC 4-Momentum Transfer

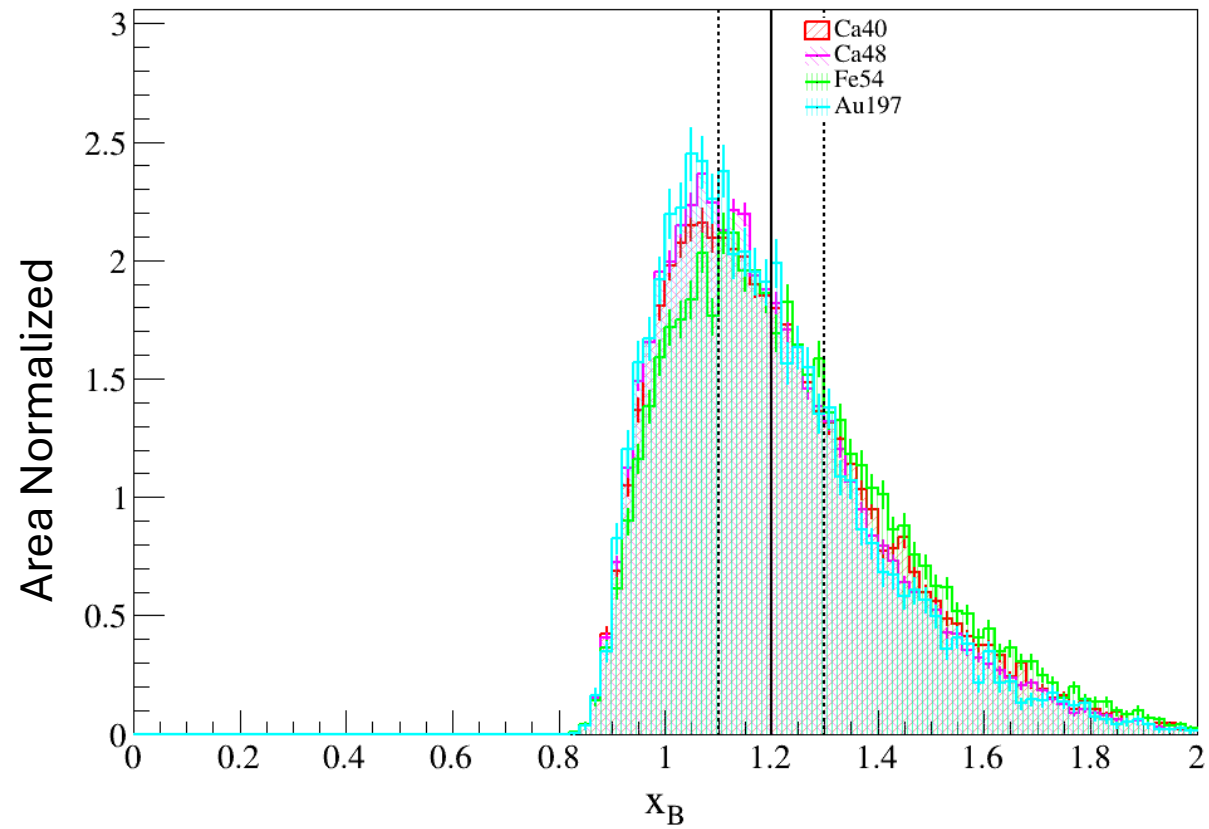


Heavy SRC Missing Momentum

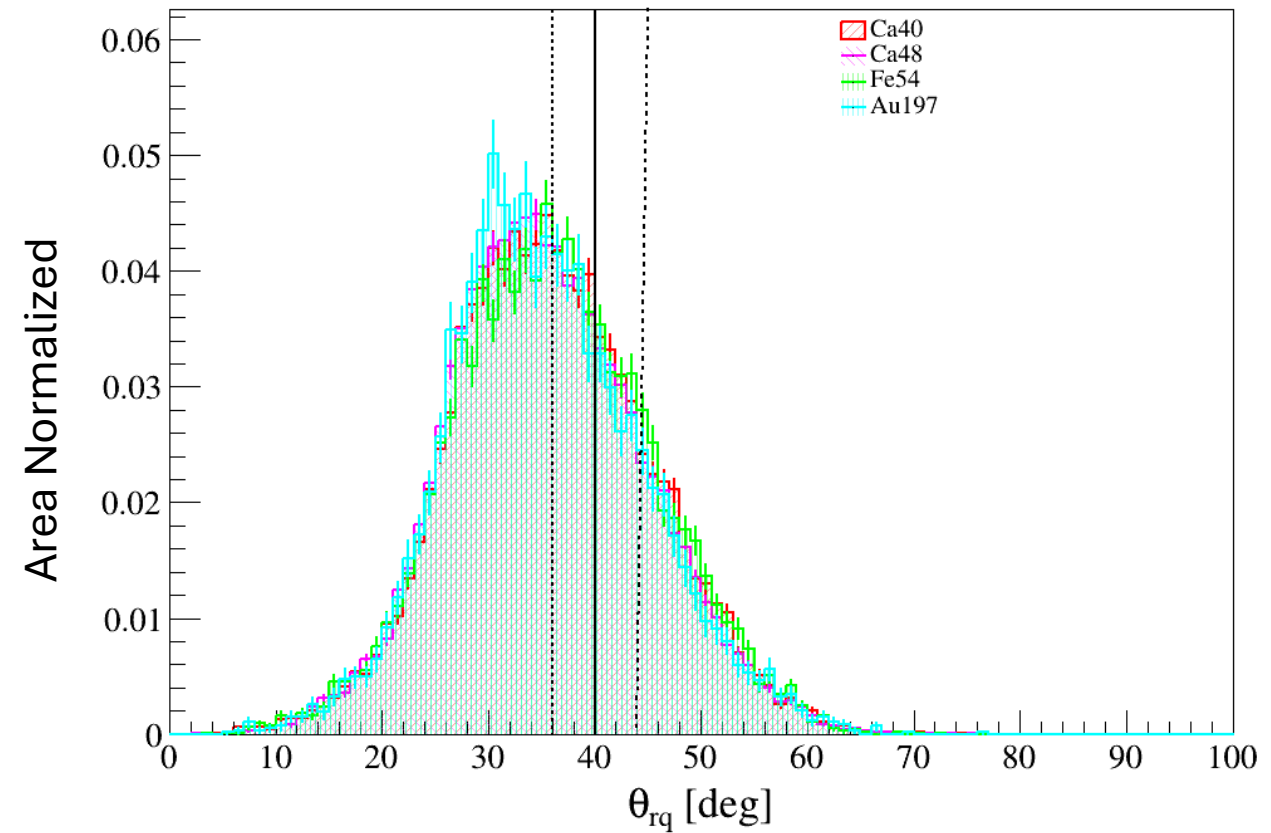


# SRC $x_{bj}$ & $\theta_{rq}$ Cuts ( $\pm 2\sigma$ )

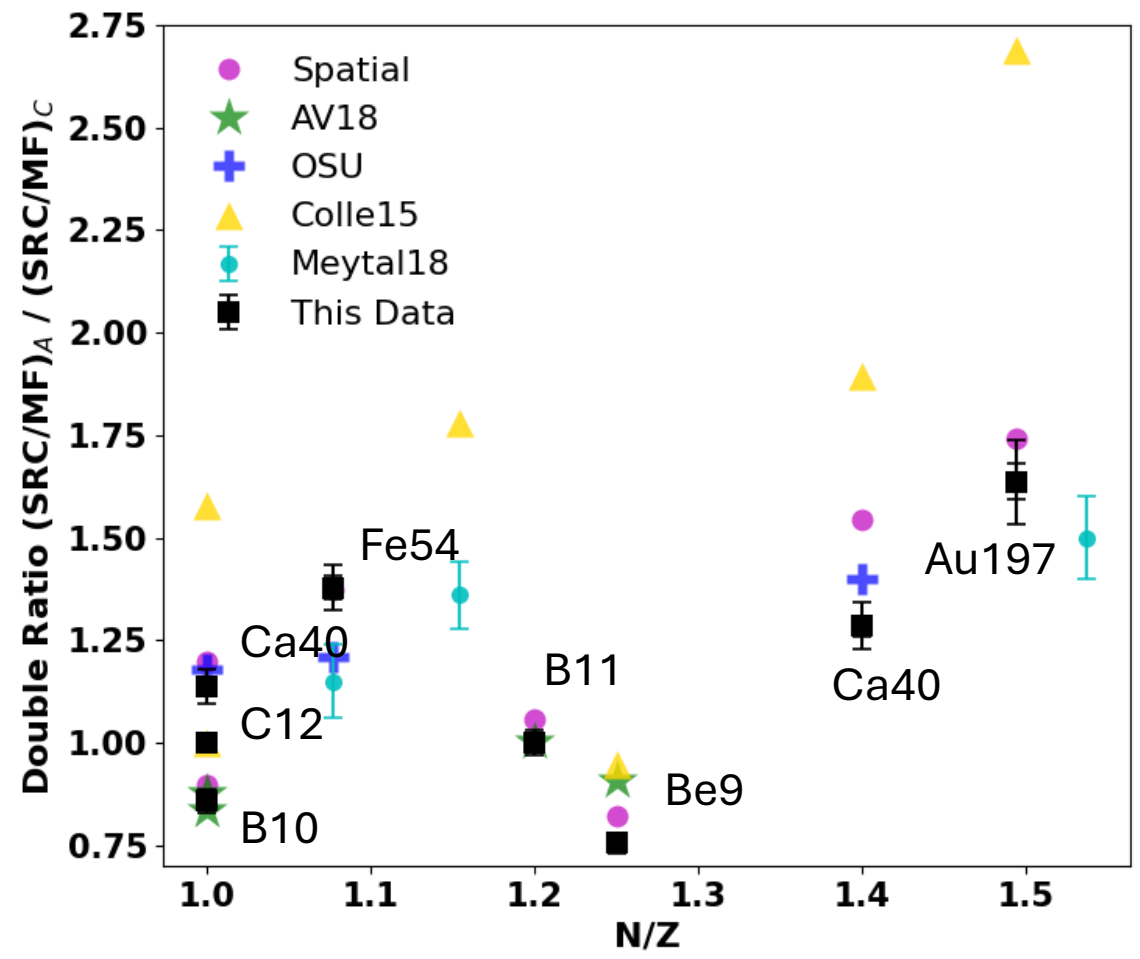
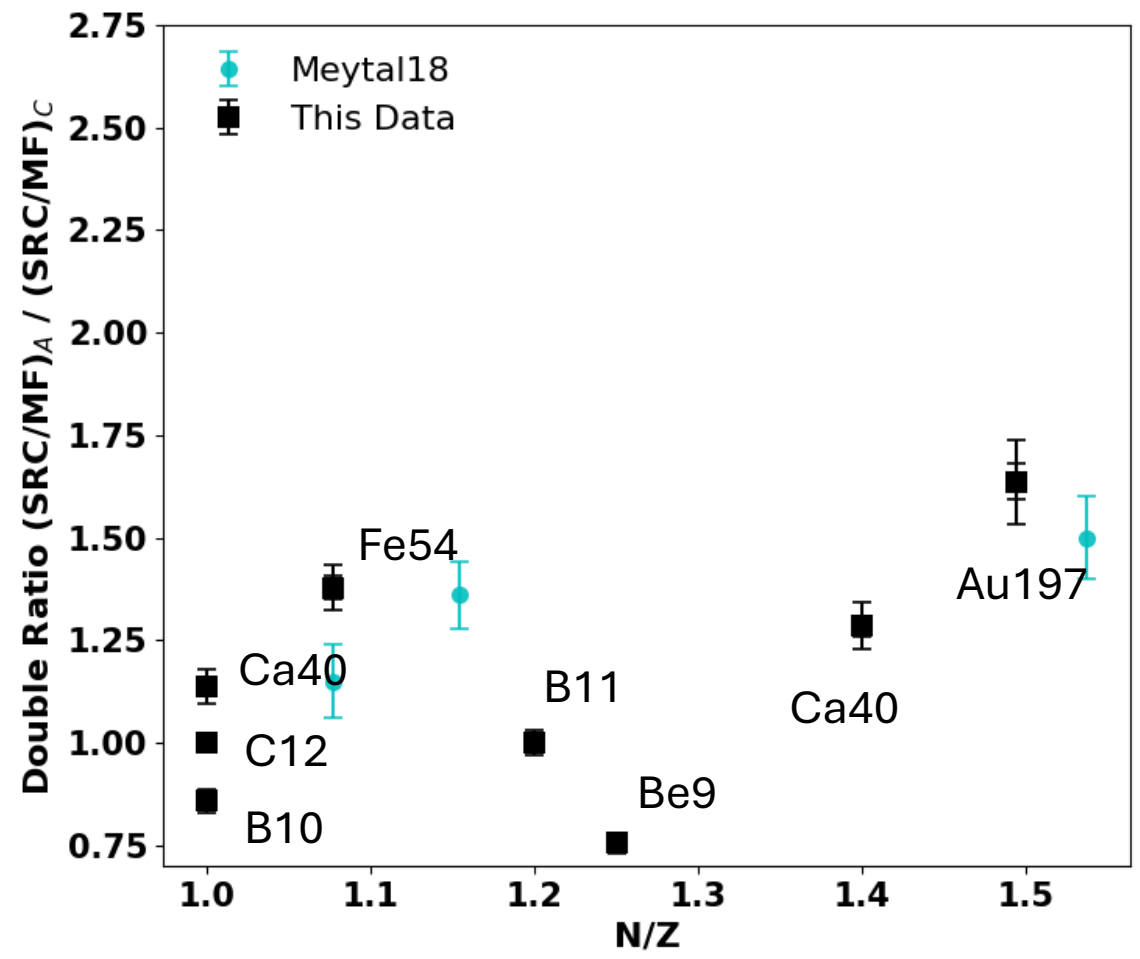
Heavy SRC x-Bjorken



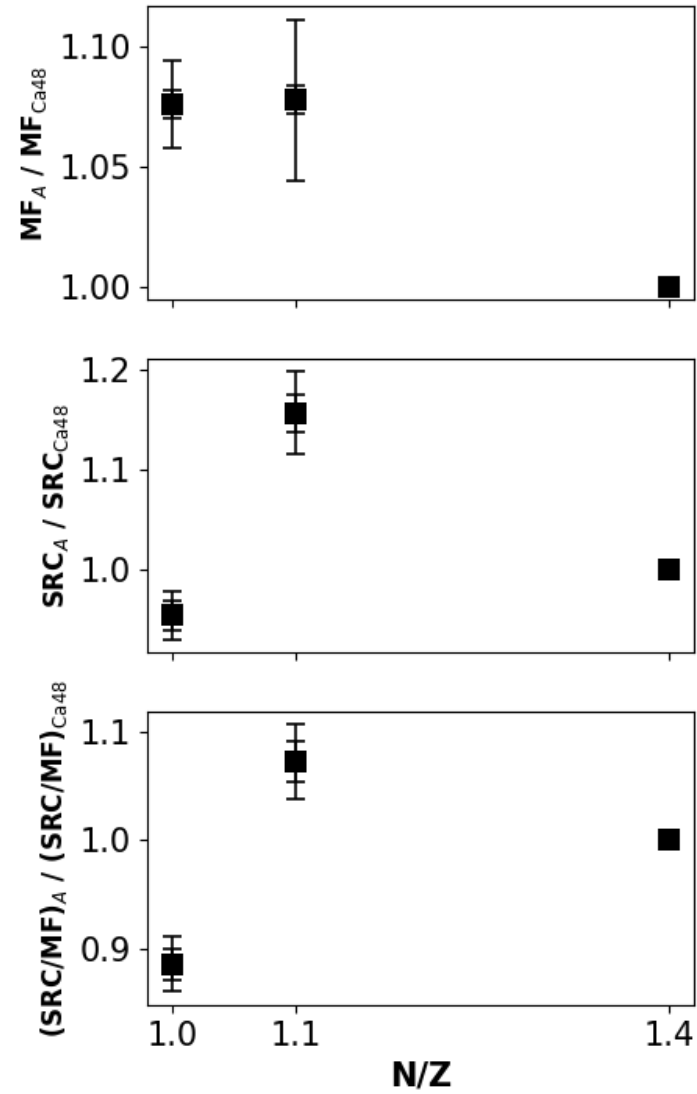
Heavy SRC In-Plane (recoil) Angle



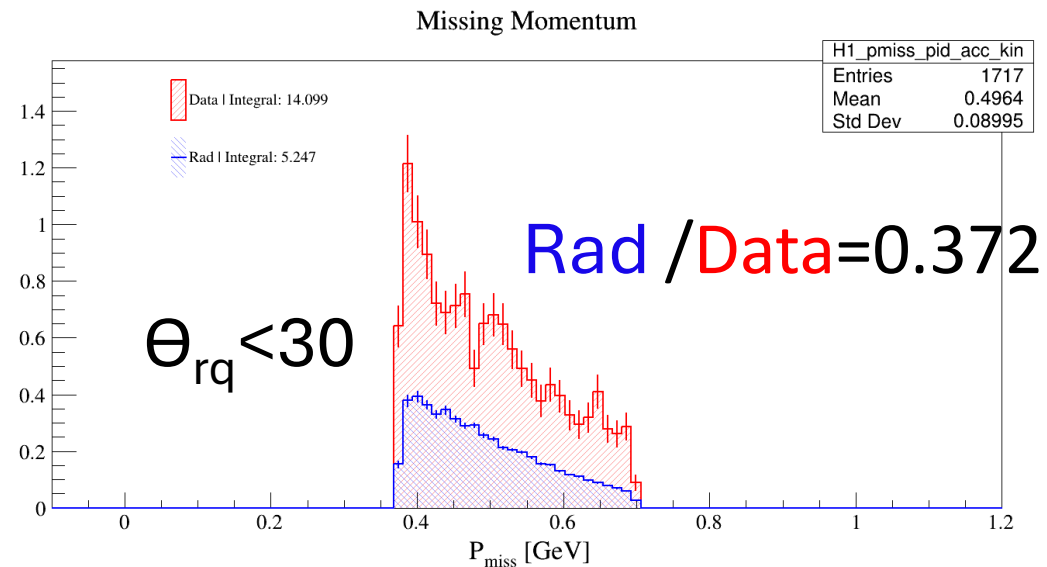
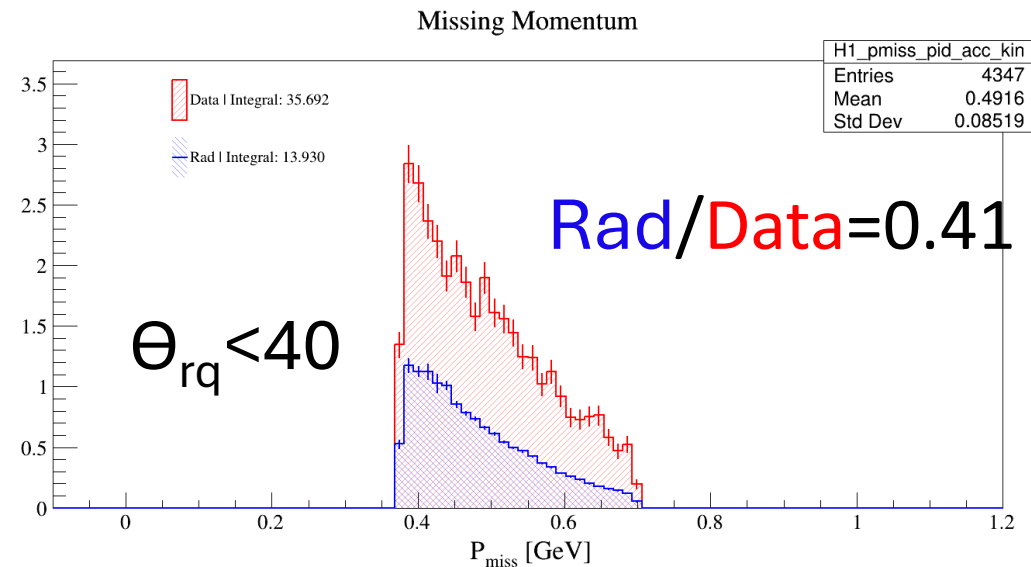
# Double Ratio vs N/Z



# Triplet Ratios N/Z



# Check C12 SRC FSI Effects



Data PWIA ratio stable for varying  $\Theta_{rq}$  cuts, therefore data is largely unaffected by FSI

