

Measurement of the weak neutral form-factor of the proton at high momentum transfer

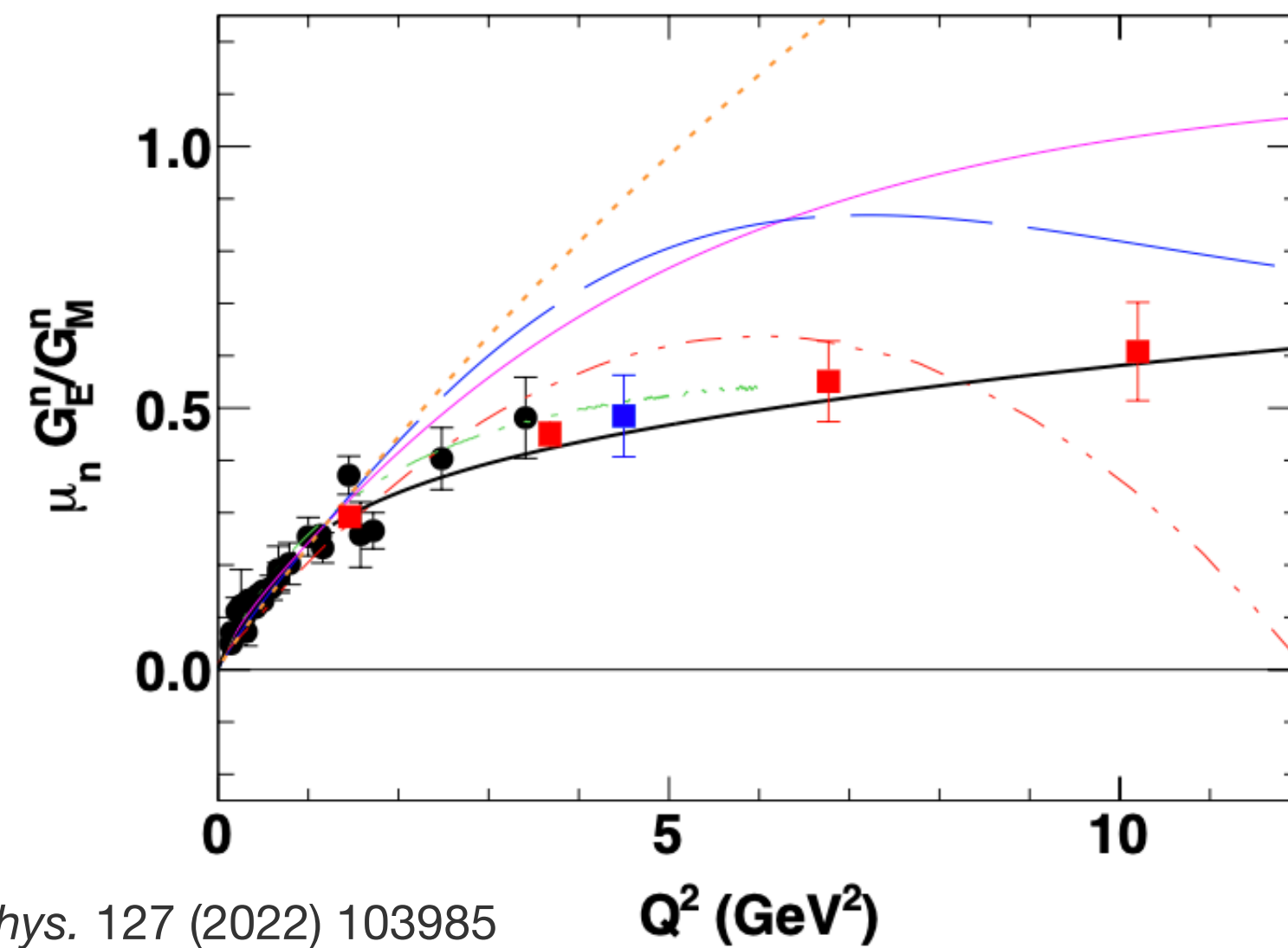
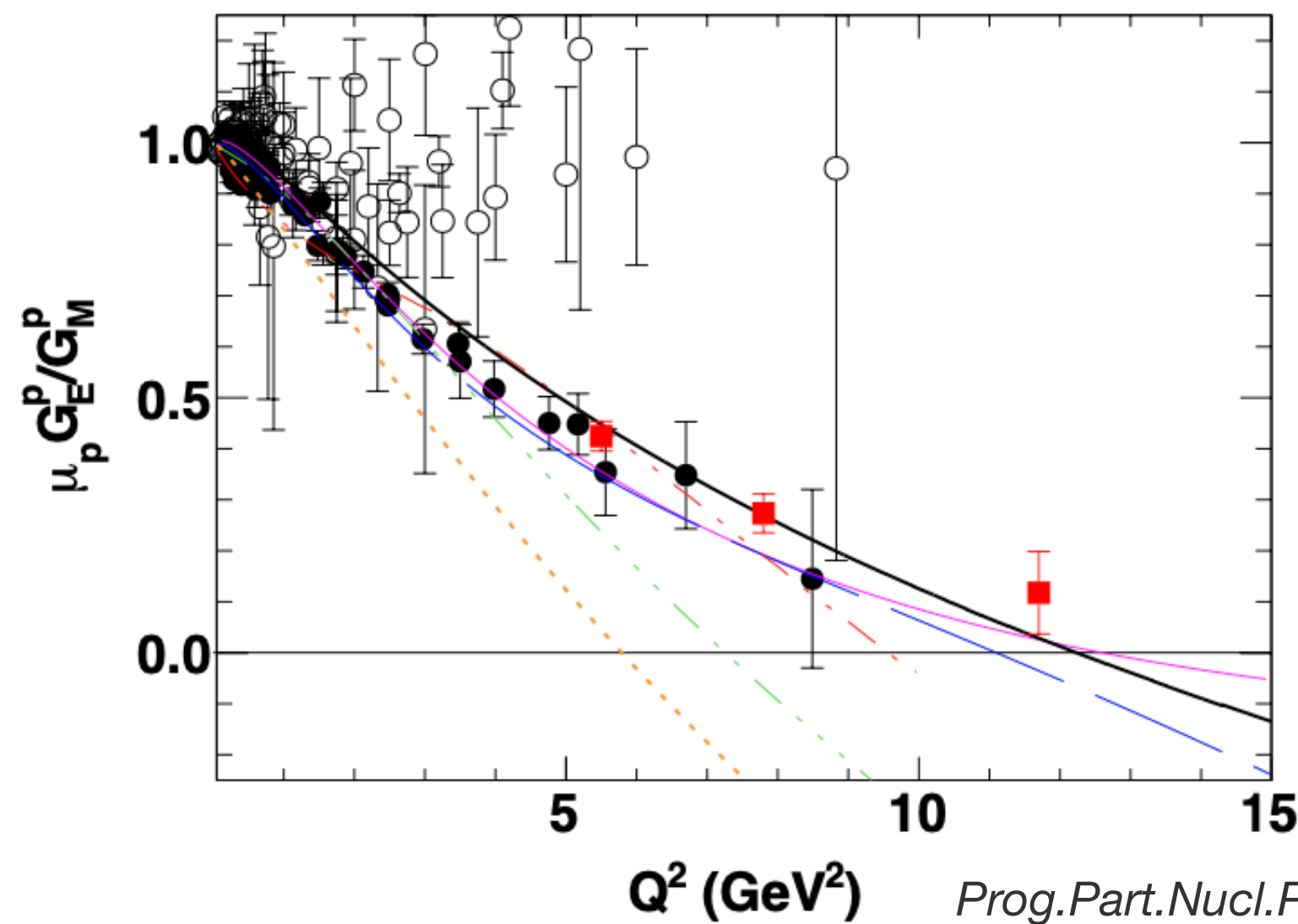
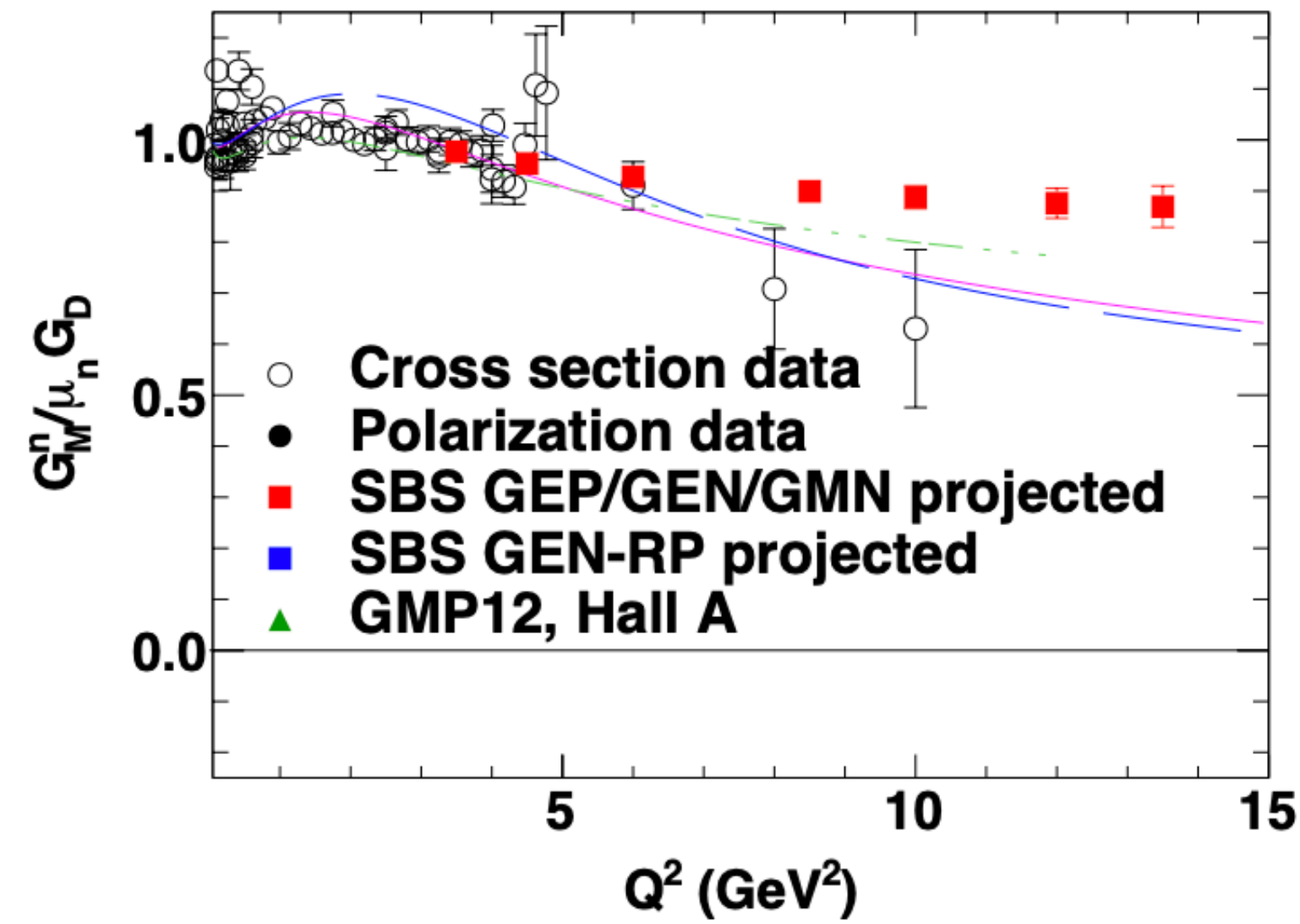
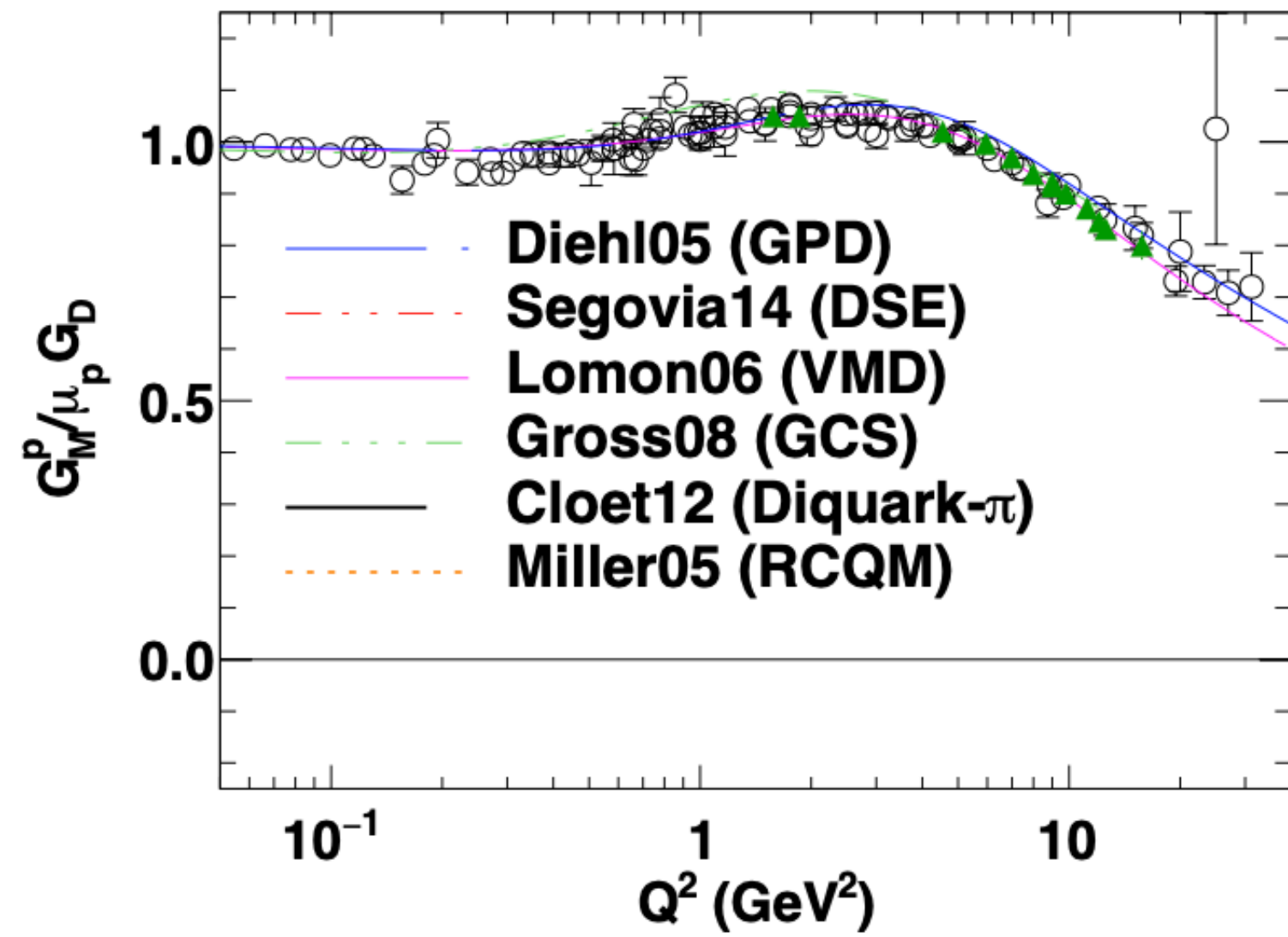
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LaTech, Glasgow, Indiana, UVa, JLab, CUA, INFN - Roma, Temple, Ohio, Syracuse, FIU, CNU, Fermilab, UWashington, Tel Aviv U, Hebrew U, W&M, AANL Yerevan, Northern Michigan, UConn, Orsay

Nucleon Form Factors at High Q^2



- One might expect a transition to perturbatively dominated mechanisms
- Other degrees of freedom might become evident, such as orbital angular momentum or diquark structure
- Part of the 3D mapping of nucleon structure as the first moment of GPDs at $\xi = 0$

$$\int_{-1}^{+1} dx H^q(x, 0, Q^2) = F_1^q(Q^2)$$

$$\int_{-1}^{+1} dx E^q(x, 0, Q^2) = F_2^q(Q^2)$$

These implications rely on extracting the independent quark contributions

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Charge symmetry and the nucleon form factors

Charge Symmetry

$$G_E^p = \frac{2}{3} G_E^{u,p} - \frac{1}{3} G_E^{d,p}$$

$$G_E^n = \frac{2}{3} G_E^{u,n} - \frac{1}{3} G_E^{d,n}$$

Charge symmetry is assumed for the form factors, $G_E^{u,p} = G_E^{d,n}$, etc. and used to find the flavor separated form-factors, measuring $G_{E,M}^{p,n}$ to find $G_{E,M}^{u,d}$

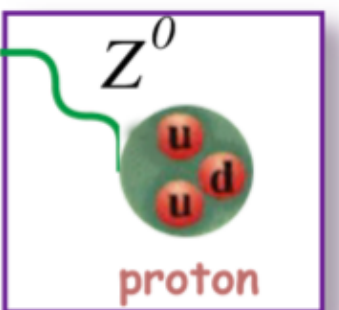
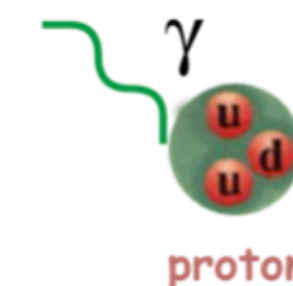
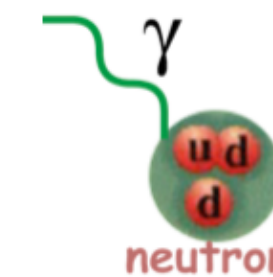
$$G_E^p = \frac{2}{3} G_E^{u,p} - \frac{1}{3} G_E^{d,p} - \frac{1}{3} G_E^s$$

$$G_E^n = \frac{2}{3} G_E^{u,n} - \frac{1}{3} G_E^{d,n} - \frac{1}{3} G_E^s$$

But this can be broken! One way is to have a non-zero strange form-factor, which breaks the "2 equations and 2 unknowns" system

The weak form factor provides a third linear combination:

$$G_E^{p,Z} = \left(1 - \frac{8}{3} \sin^2 \theta_W\right) G_E^{u,p} + \left(-1 + \frac{4}{3} \sin^2 \theta_W\right) G_E^{d,p} + \left(-1 + \frac{4}{3} \sin^2 \theta_W\right) G_E^s$$



A strange quark form factor would be indistinguishable from a broken charge symmetry in u,d flavors

$$\delta G_E^u \equiv G_E^{u,p} - G_E^{d,n}$$

$$\delta G_E^d \equiv G_E^{d,p} - G_E^{u,n}$$

So, more generally: the assumption of charge symmetry is crucial to the flavor decomposition of the form factors

Parity Violating Electron Scattering

Elastic e-p scattering with longitudinally polarized beam and unpolarized target:

Weak and EM amplitudes interfere:

$$\sigma = |\mathcal{M}_\gamma + \mathcal{M}_Z|^2$$

$$A_{PV} = \frac{\sigma_R - \sigma_L}{\sigma_R + \sigma_L} \sim \frac{\begin{array}{c} \gamma \\ \text{---} \\ \text{---} \\ \text{---} \end{array} \begin{array}{c} Z^0 \\ \text{---} \\ \text{---} \\ \text{---} \end{array}}{\left| \begin{array}{c} \gamma \\ \text{---} \\ \text{---} \\ \text{---} \end{array} \right|^2} \approx \frac{|\mathcal{M}_Z|}{|\mathcal{M}_\gamma|}$$

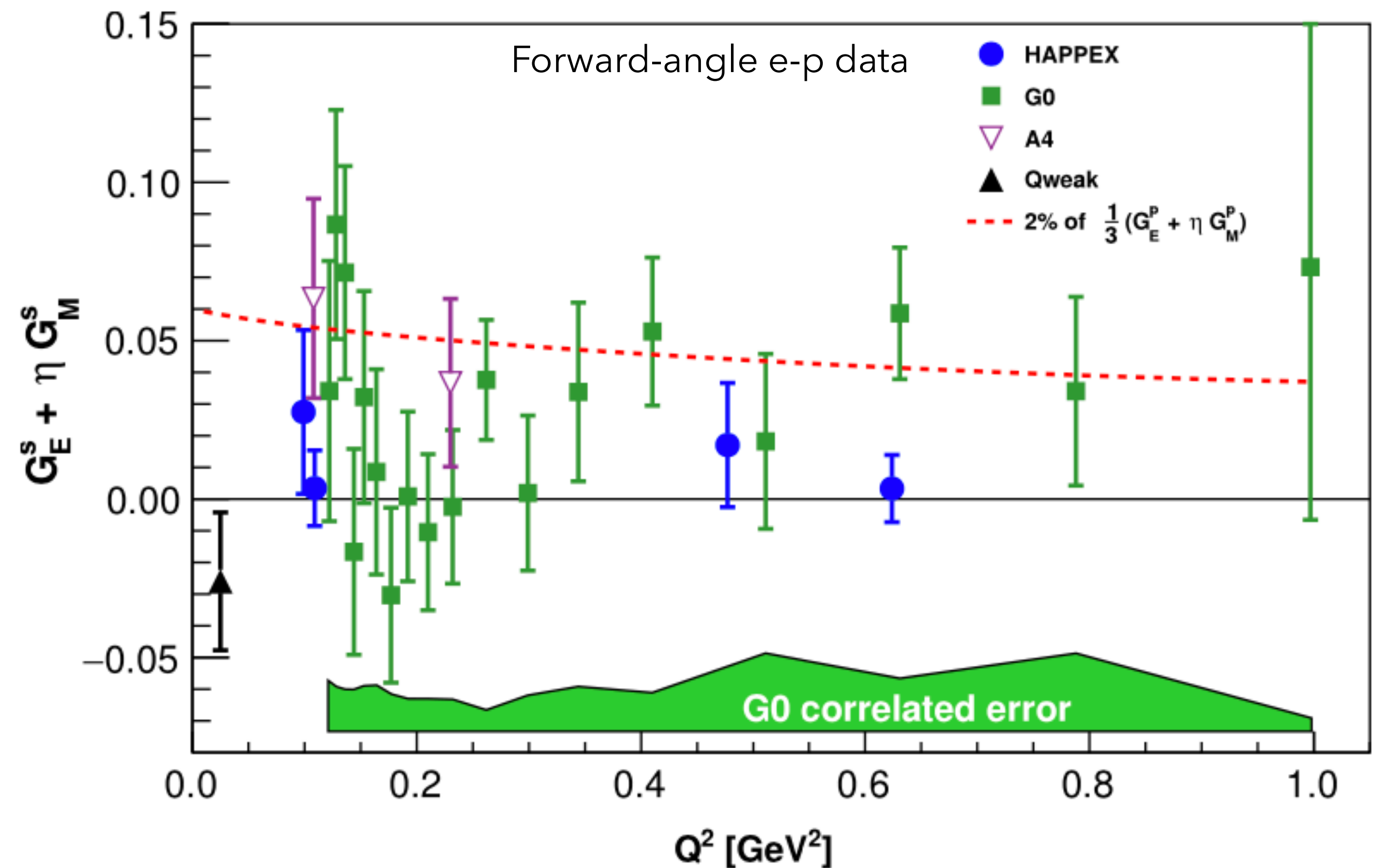
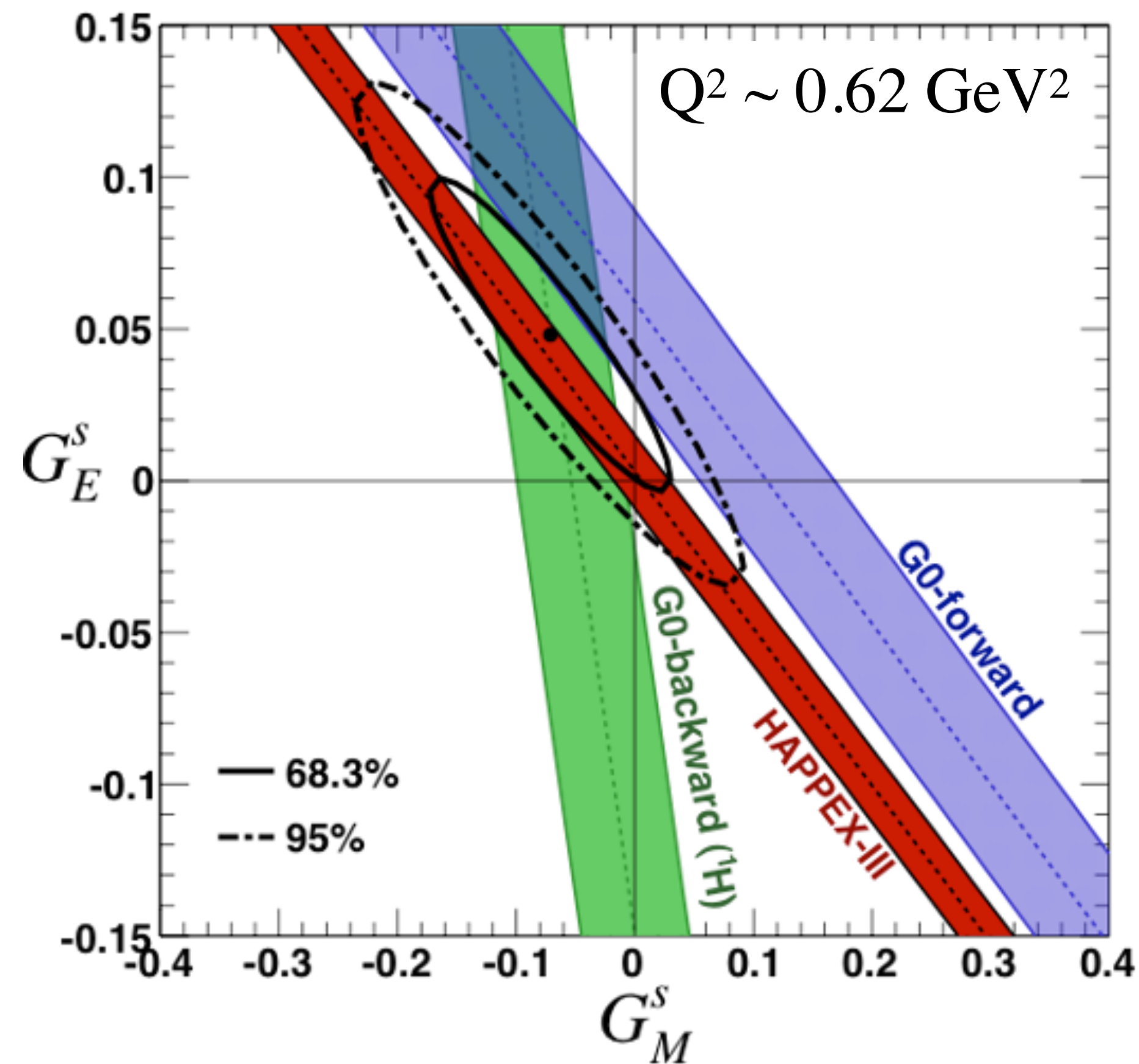
Expressing A_{PV} for e-p scattering, with proton and neutron EM form-factors plus strange form factors:

$$A_{PV} = -\frac{G_F Q^2}{4\pi\alpha\sqrt{2}} \cdot \left[(1 - 4\sin^2\theta_W) - \frac{\epsilon G_E^p G_E^n + \tau G_M^p G_M^n}{\epsilon(G_E^p)^2 + \tau(G_M^p)^2} - \frac{\epsilon G_E^p (G_E^s) + \tau G_M^p (G_M^s)}{\epsilon(G_E^p)^2 + \tau(G_M^p)^2} + \epsilon'(1 - 4\sin^2\theta_W) \frac{G_M^p G_A^{Zp}}{\epsilon(G_E^p)^2 + \tau(G_M^p)^2} \right]$$

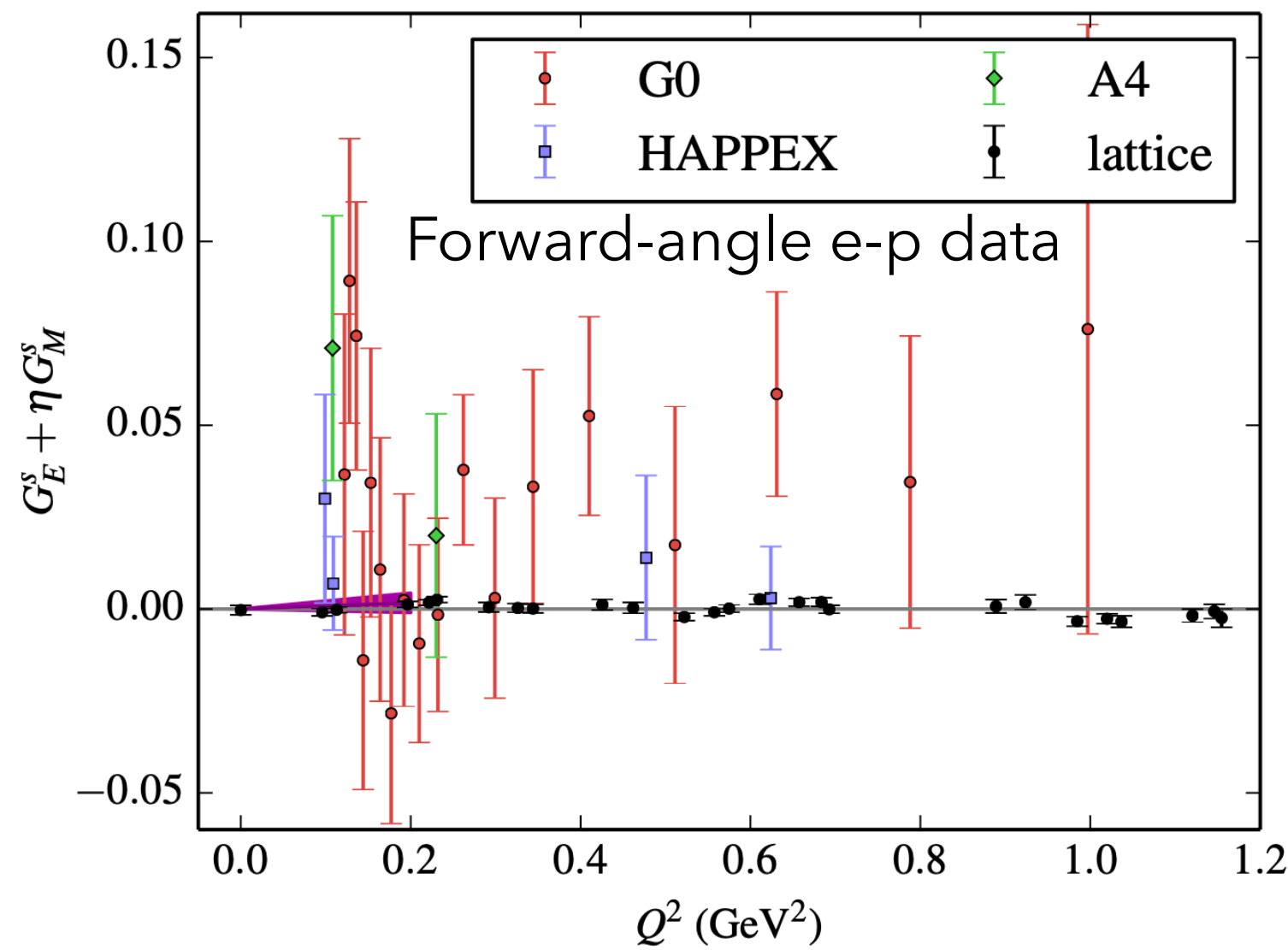
This technique was used to hunt for indications of strange quark contributions in the nucleon, particularly in the *static* (i.e. $Q^2 \rightarrow 0$) properties: a strange charge radius or strange magnetic moment

Proton strange form factors via parity violating elastic electron scattering

Strange form factors are measured to be consistent with zero at low Q^2 ,
but do not rule out non-zero values at higher Q^2 ,
especially for magnetic form factor which is more accessible at higher Q^2

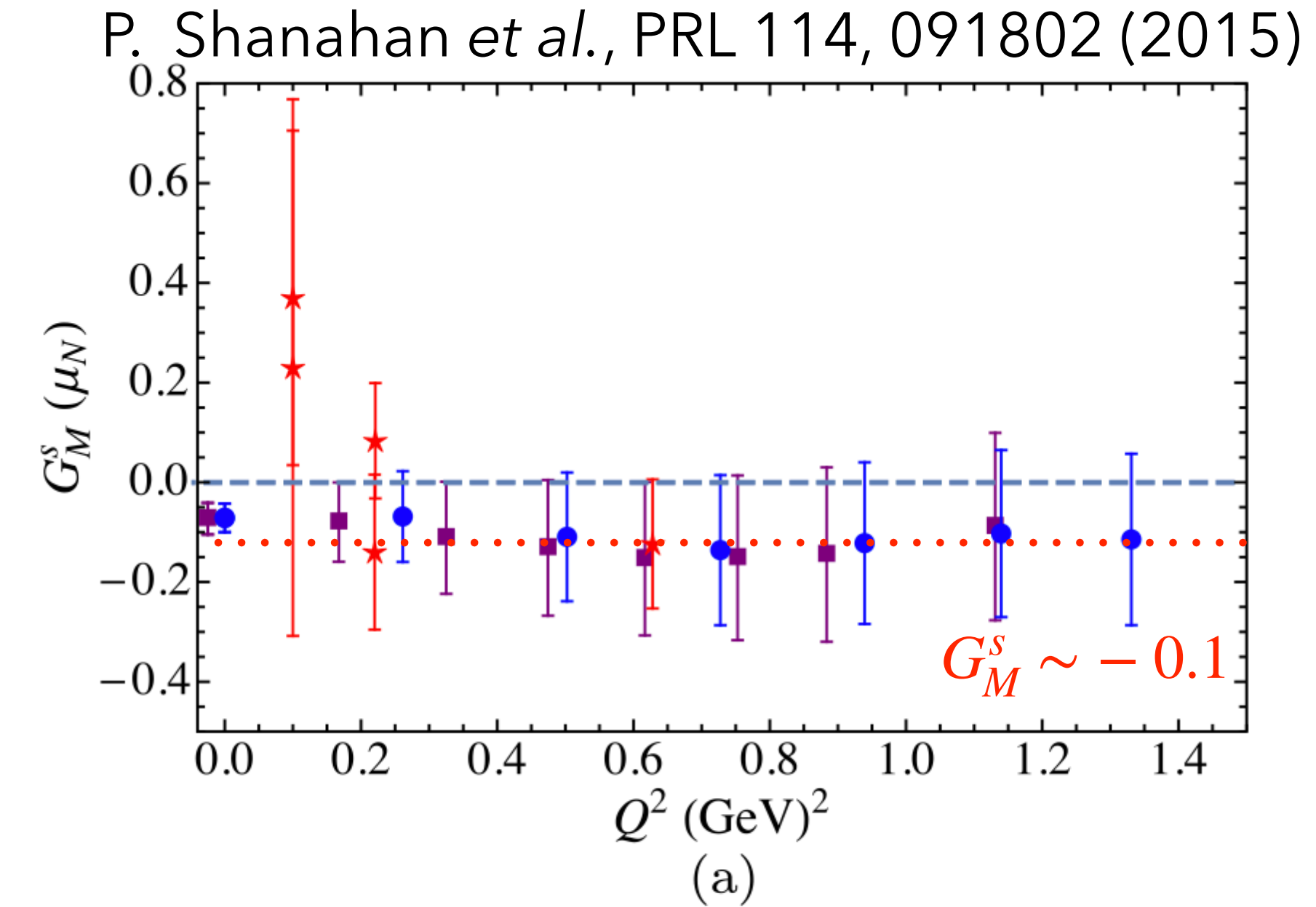


Strange form-factors on the lattice

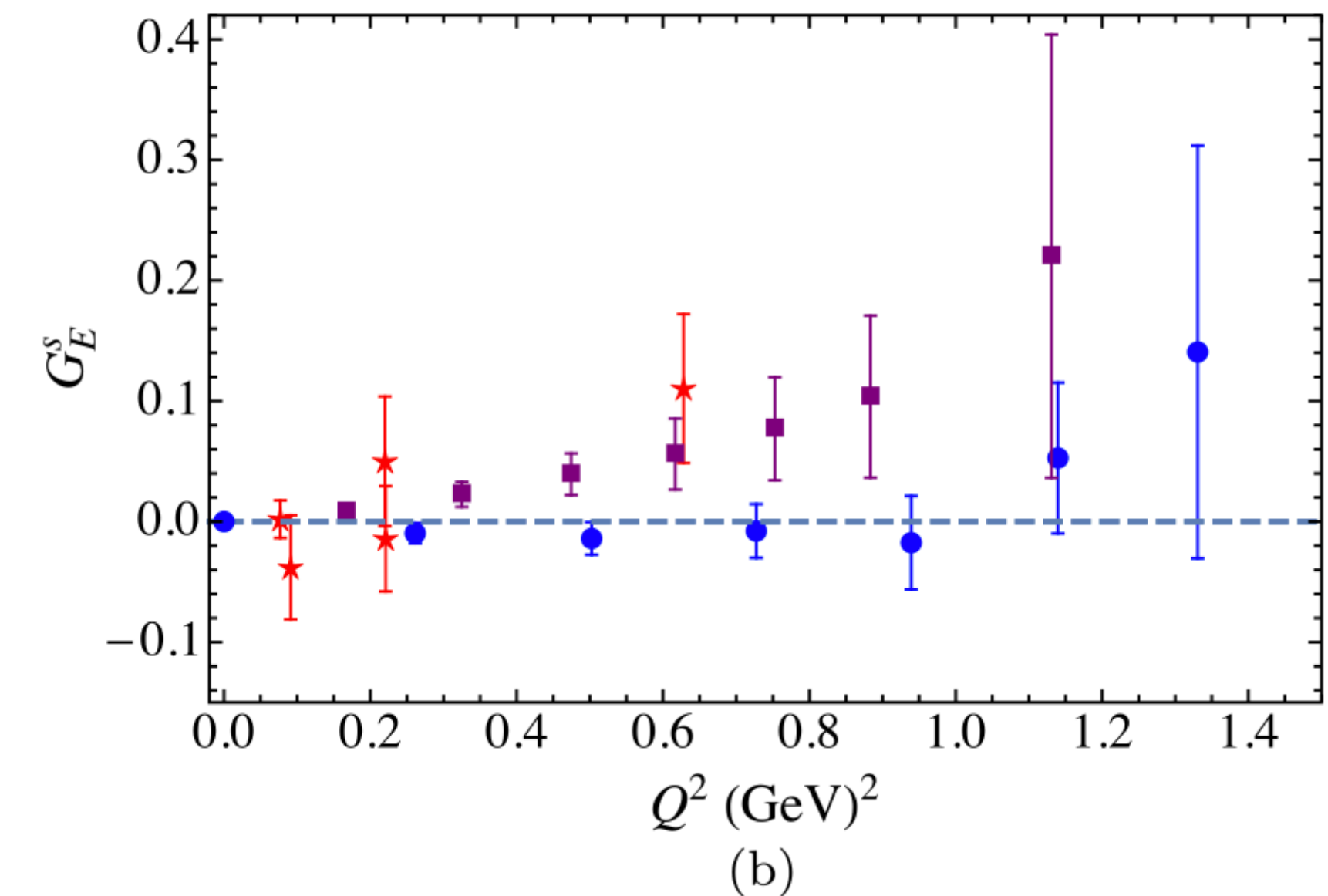
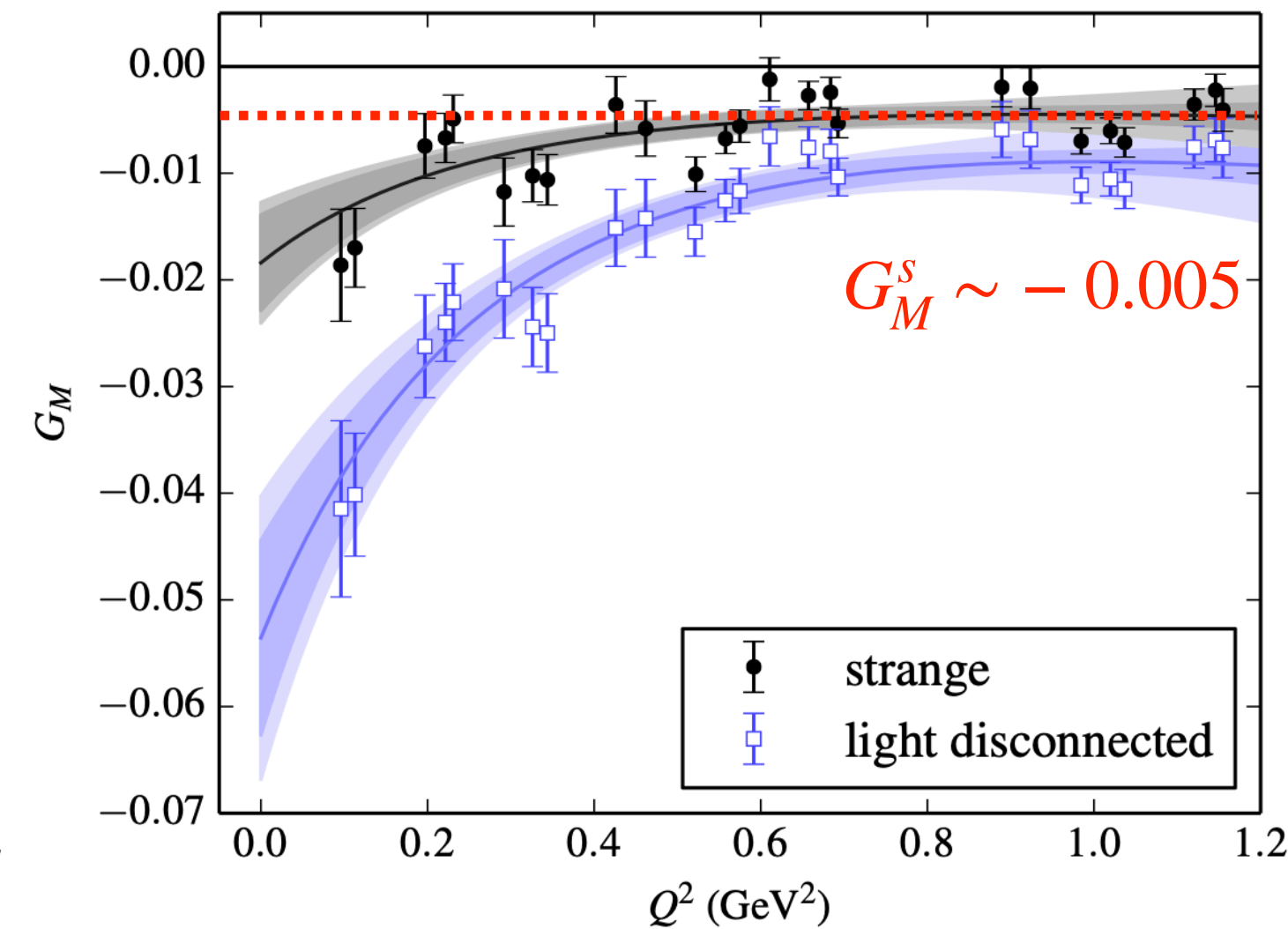
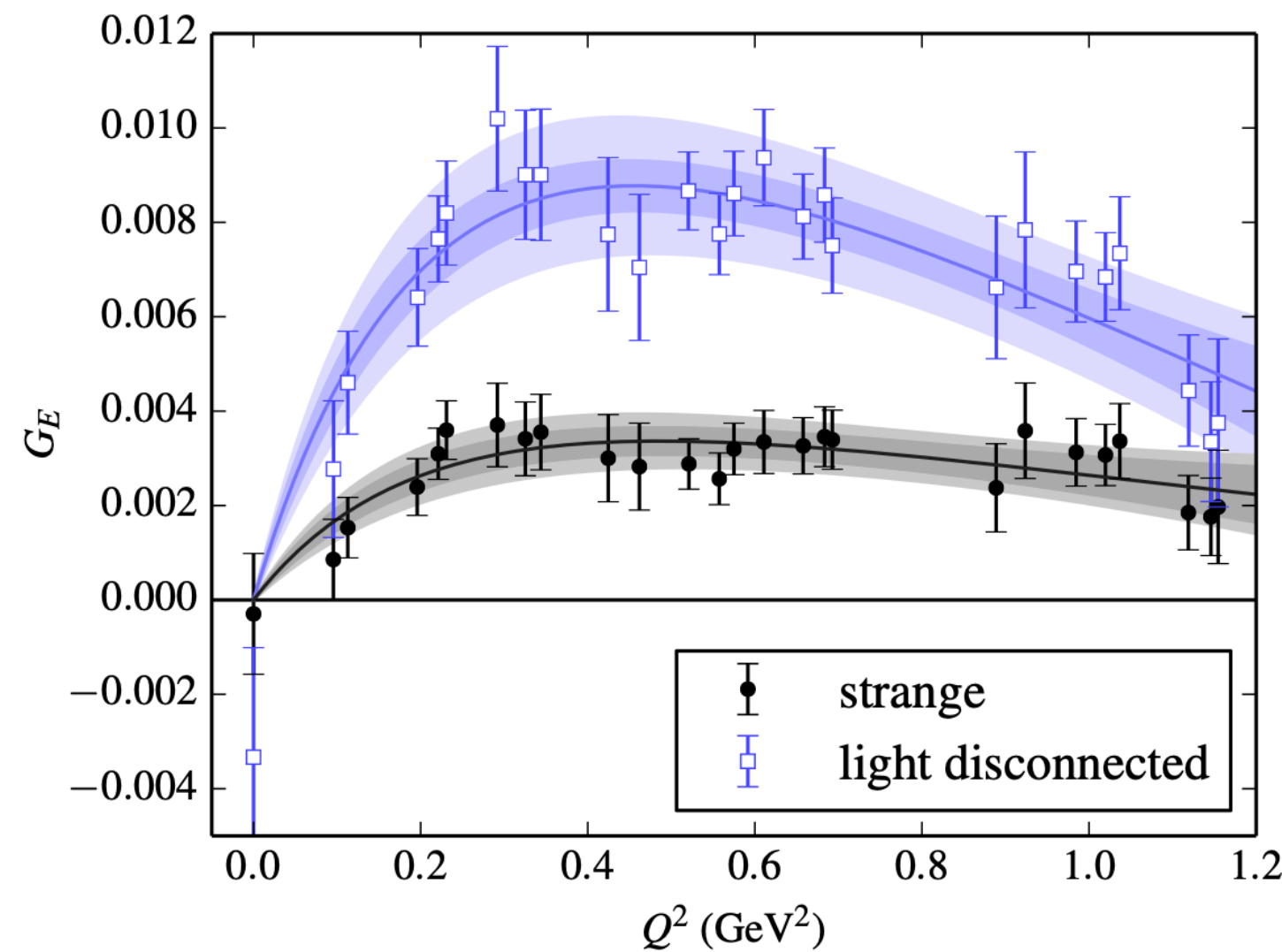


Some lattice calculations predict central values which are small, 10x below the limit of low Q^2 studies.

But they do not apparently fall with Q^2 . These values would be significant contributions at high Q^2

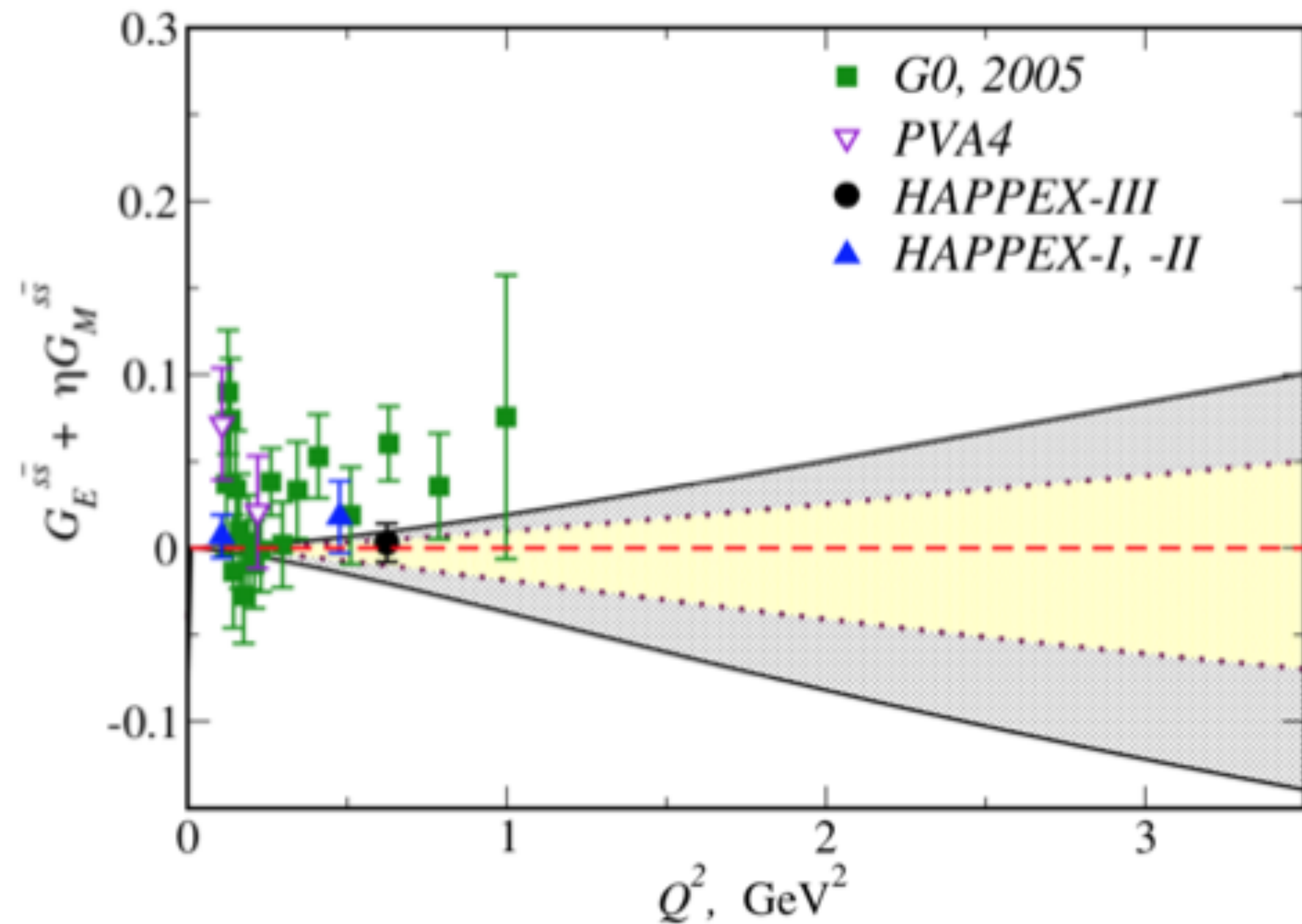


J. Green *et al.*, Phys. Rev. D 92, 031501 (2015)



Strange form-factor predictions

T.Hobbs & J.Miller, 2018



Follows work from *Phys.Rev.C* 91 (2015) 3, 035205
(LFWF to tie DIS and elastic measurements in a simple model)

Conclusion: sFF small (but non-zero) at low Q^2 , but quite reasonable within constraints from data to think that they may grow relatively large at large Q^2

To set the scale of the data constraints: the width of the uncertainty band at $Q^2 = 2.5 \text{ GeV}^2$ is approximately the size of the dipole form-factor parameterization G_D

$G_s/G_D \sim 1$ is not excluded

Such a large SFF could be huge in a proton PV measurement

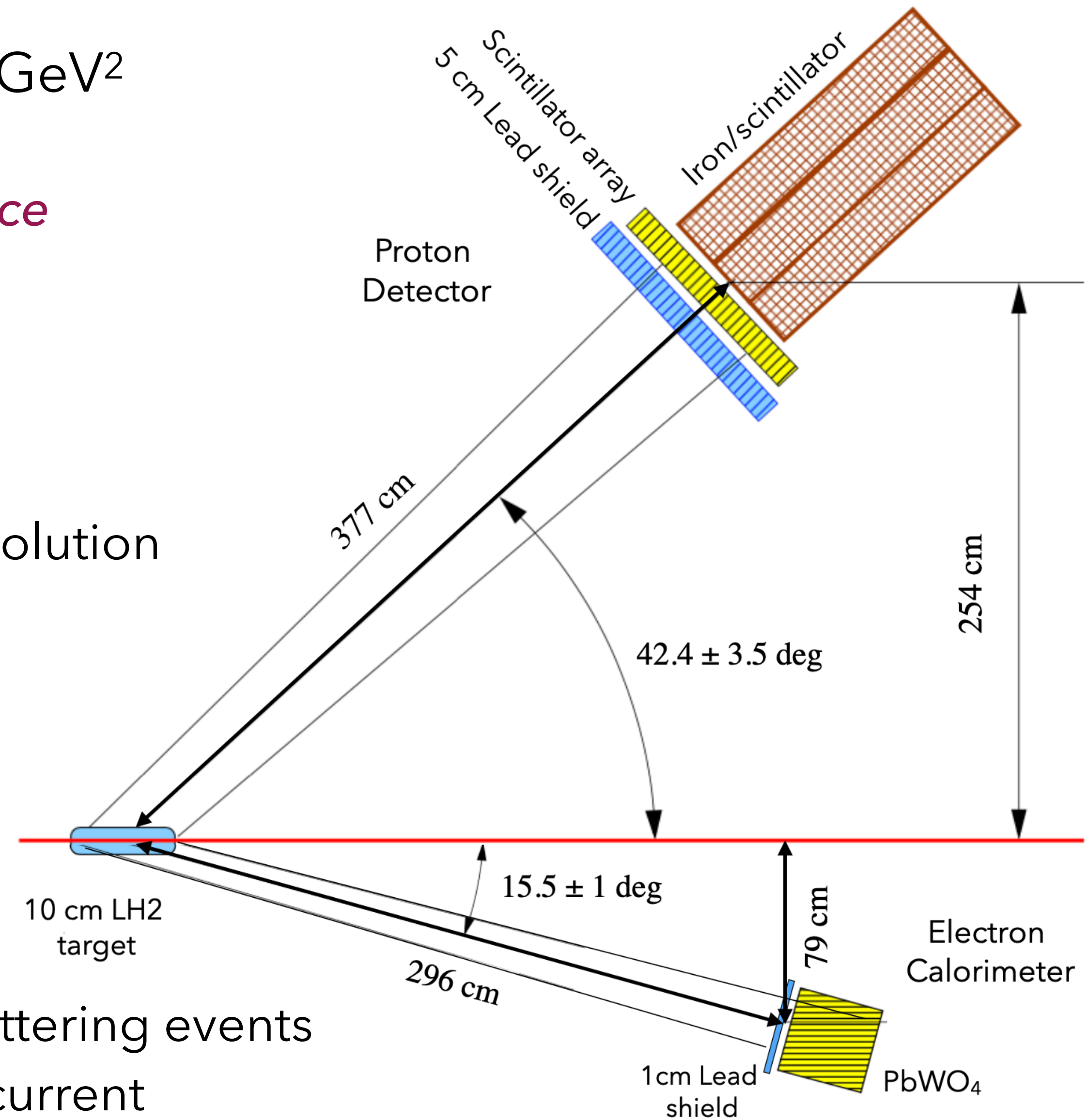
$$\delta A_{PV} \sim \pm 22 \text{ ppm}, \sim \pm 15\% \text{ of } A_{PV}^{ns}$$

The planned measurement

Aim for $Q^2 = 2.5 \text{ GeV}^2$

Identify elastic kinematics with electron-proton coincidence

- Angular e-p correlation, 6.6 GeV beam energy
(electron at 15.5 degrees, proton at 42.4 degrees)
- High resolution calorimeter trigger for electron arm
- Calorimeter trigger for proton arm
- Scintillator array on proton arm, to improve position resolution



- APV = 150 ppm, 4% precision goal, so 3×10^{10} elastic scattering events
- $\mathcal{L} = 1.7 \times 10^{38} \text{ cm}^{-2}/\text{s}$, 10 cm LH₂ target and 65 μA beam current
- Full azimuthal coverage, $\sim 42 \text{ msr}$

Calorimeters reusing components

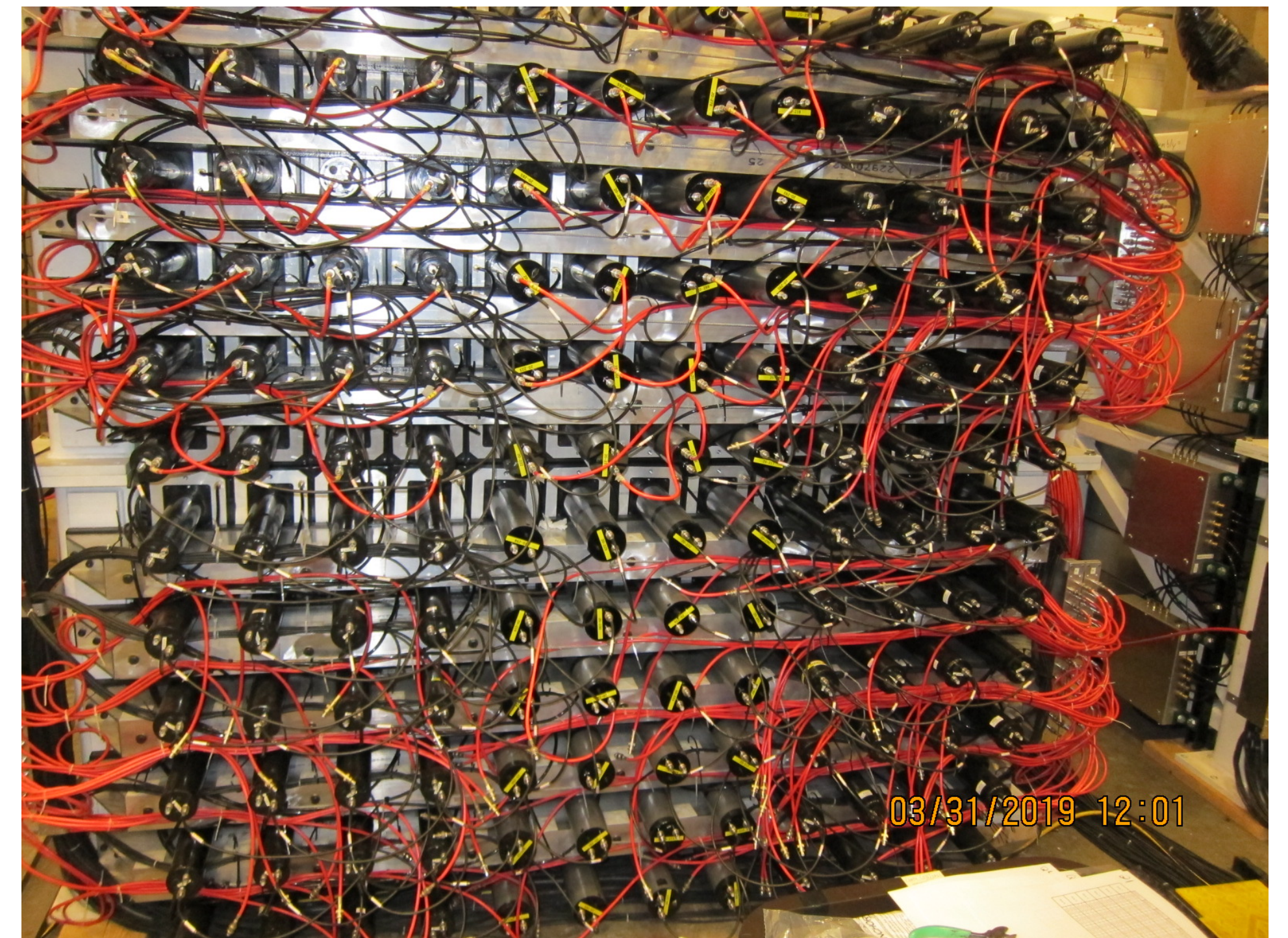
NPS electromagnetic calorimeter

- 1200 PBWO₄ scintillators, PMTs + bases



SBS hadronic calorimeter

- 288 iron/scintillator detectors, PMTs + bases



Detector System

HCAL - hadron calorimeter

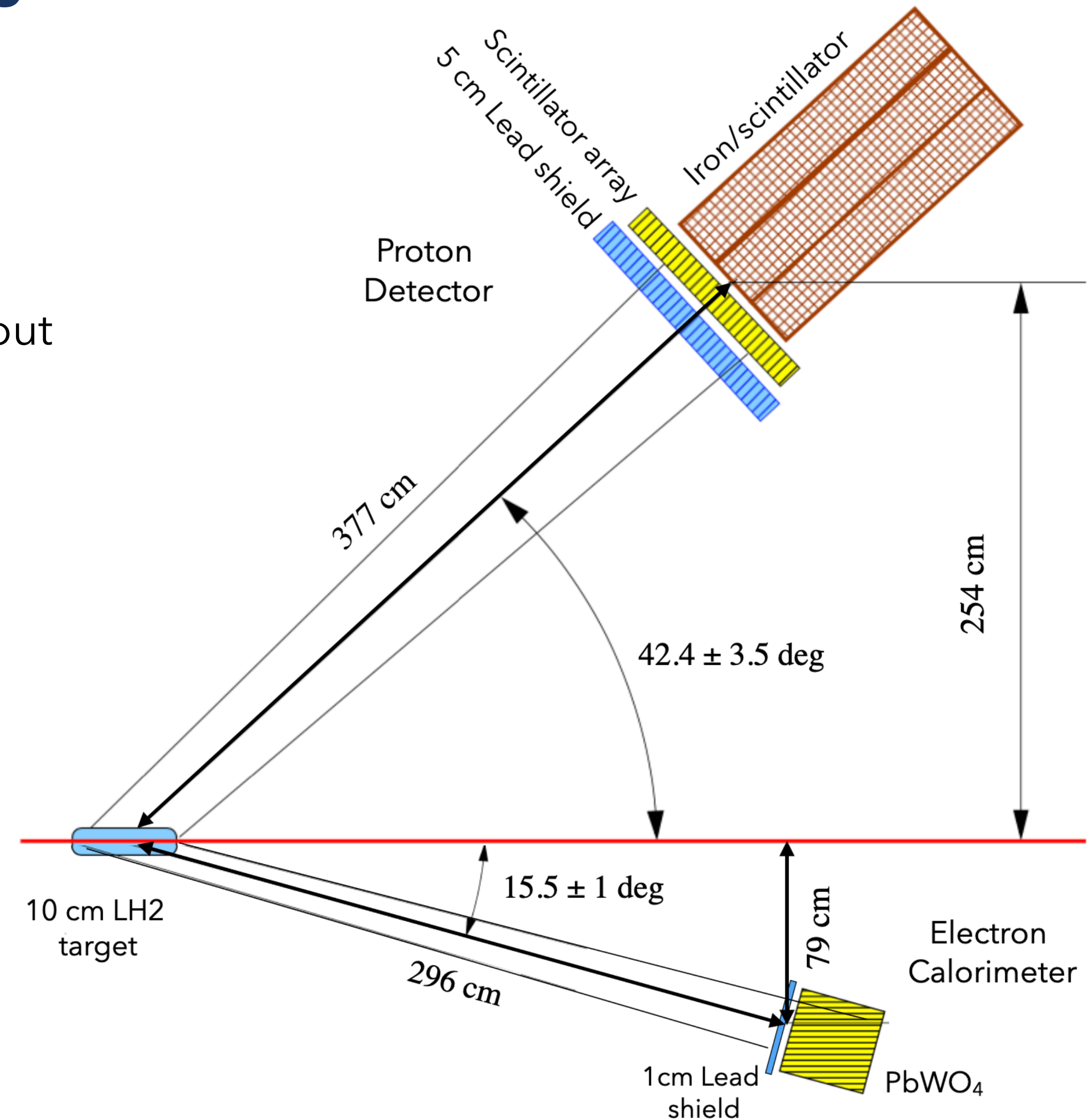
- Detector elements from the SBS HCAL
- 288 blocks, each $15.5 \times 15.5 \times 100 \text{ cm}^3$
- iron/scintillator sandwich with wavelength shifting fiber readout

ECAL - electron calorimeter

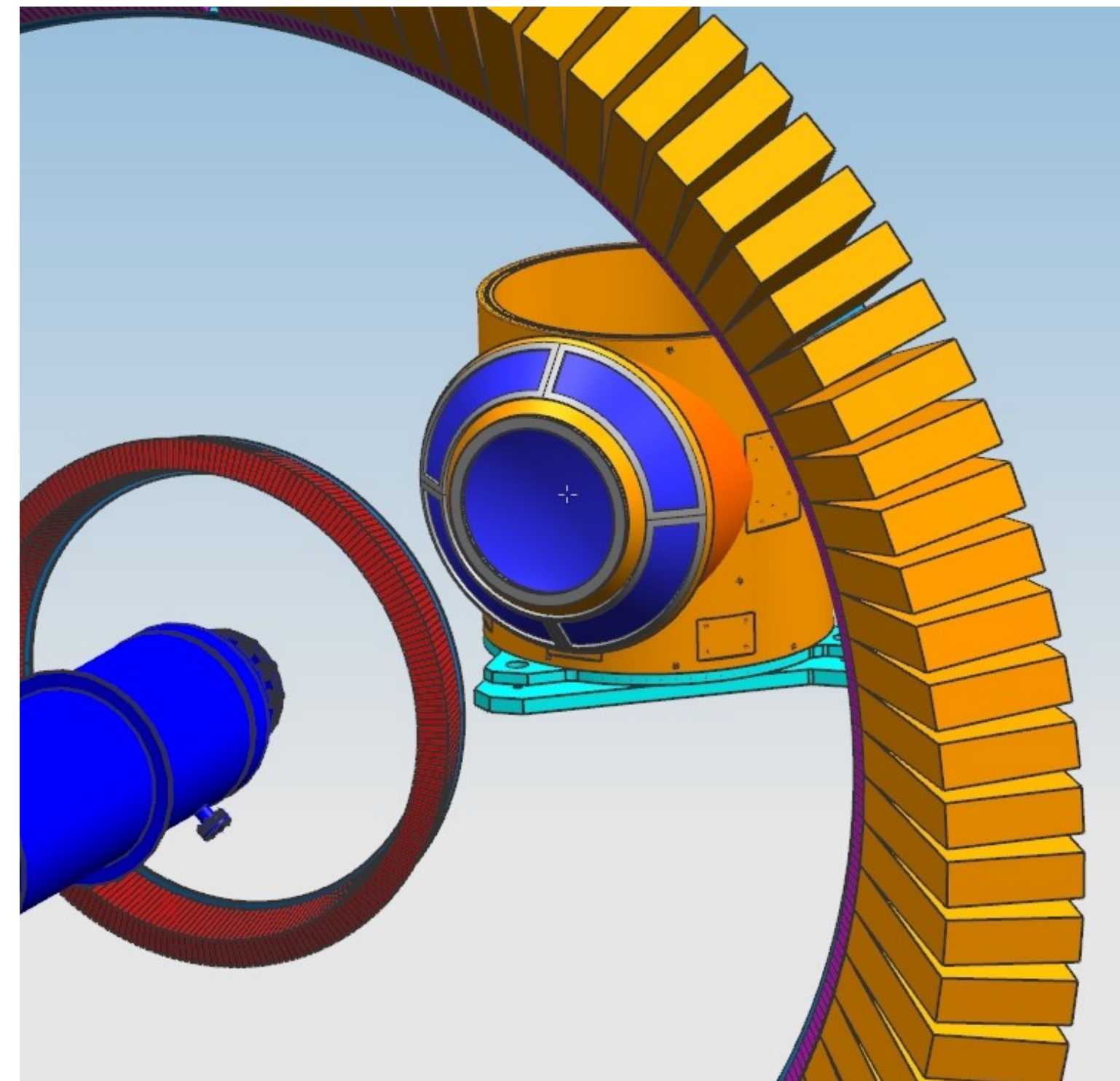
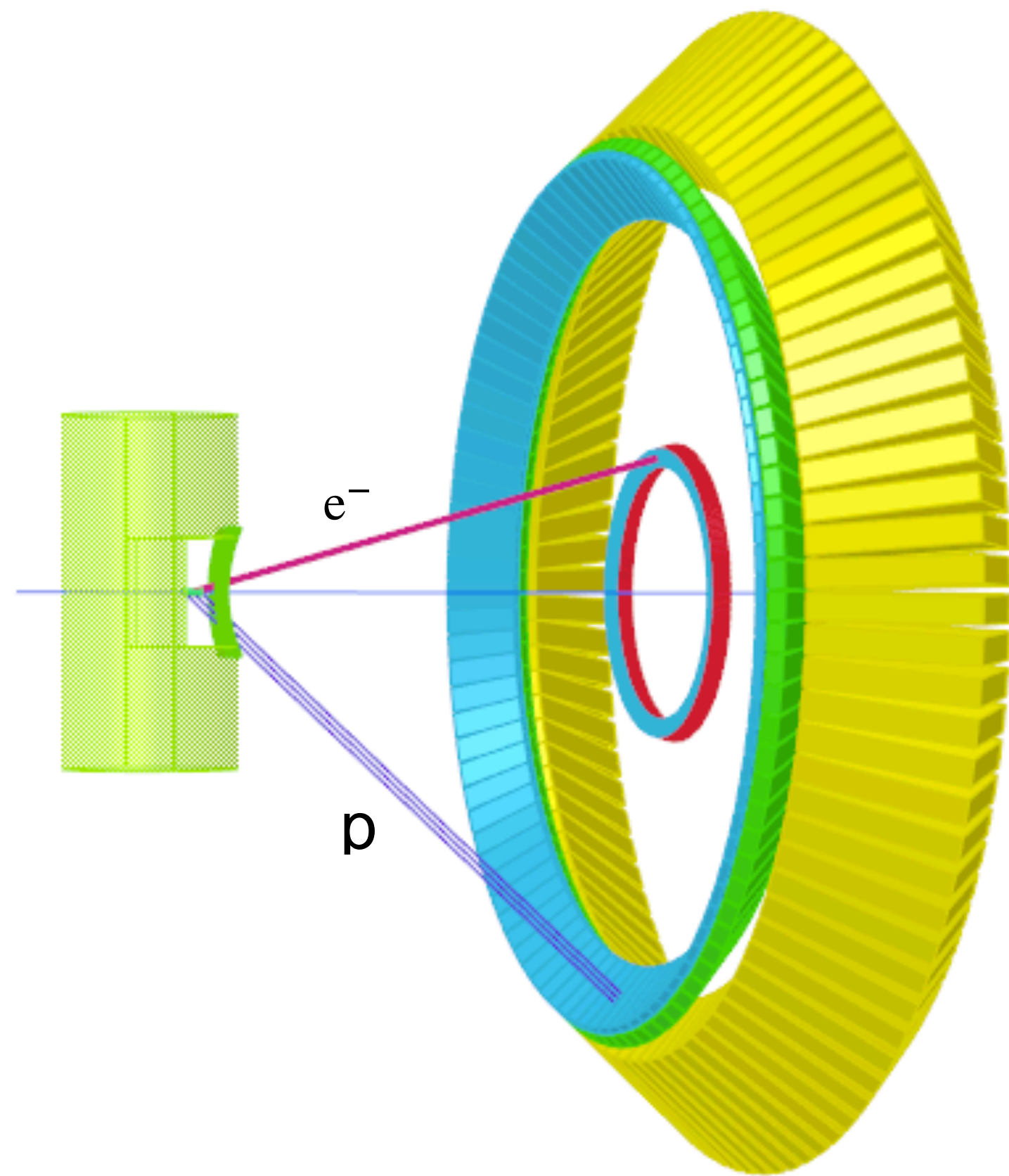
- Detector elements from the NPS calorimeter
- 1200 blocks, each $2 \times 2 \times 20 \text{ cm}^3$
- PbWO_4 scintillator

Scintillator array

- 7200 plastic scintillators, each $3 \times 3 \times 10 \text{ cm}^3$
- Wavelength shifting fiber to MA-PMT
- Used for position resolution in front of HCAL



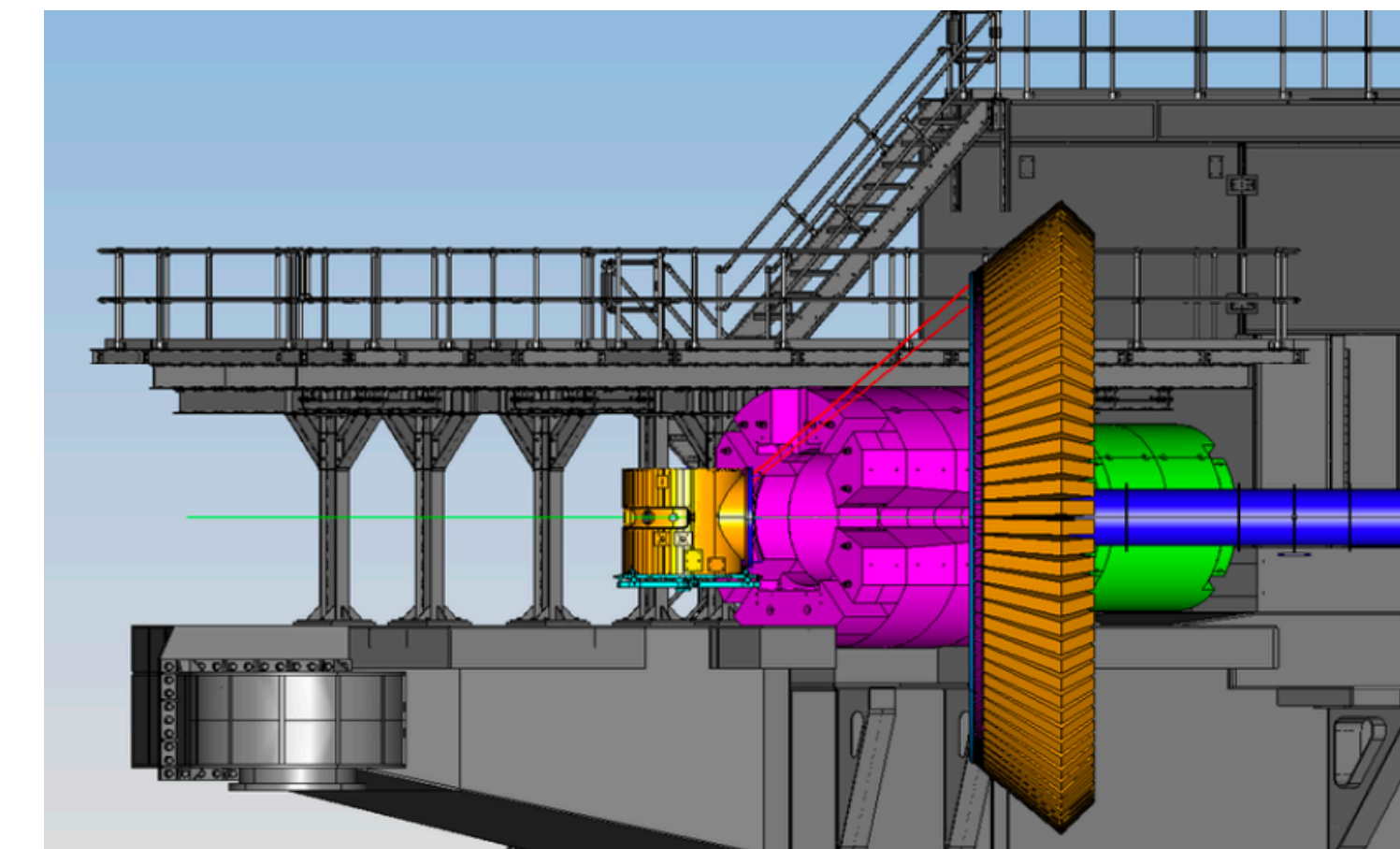
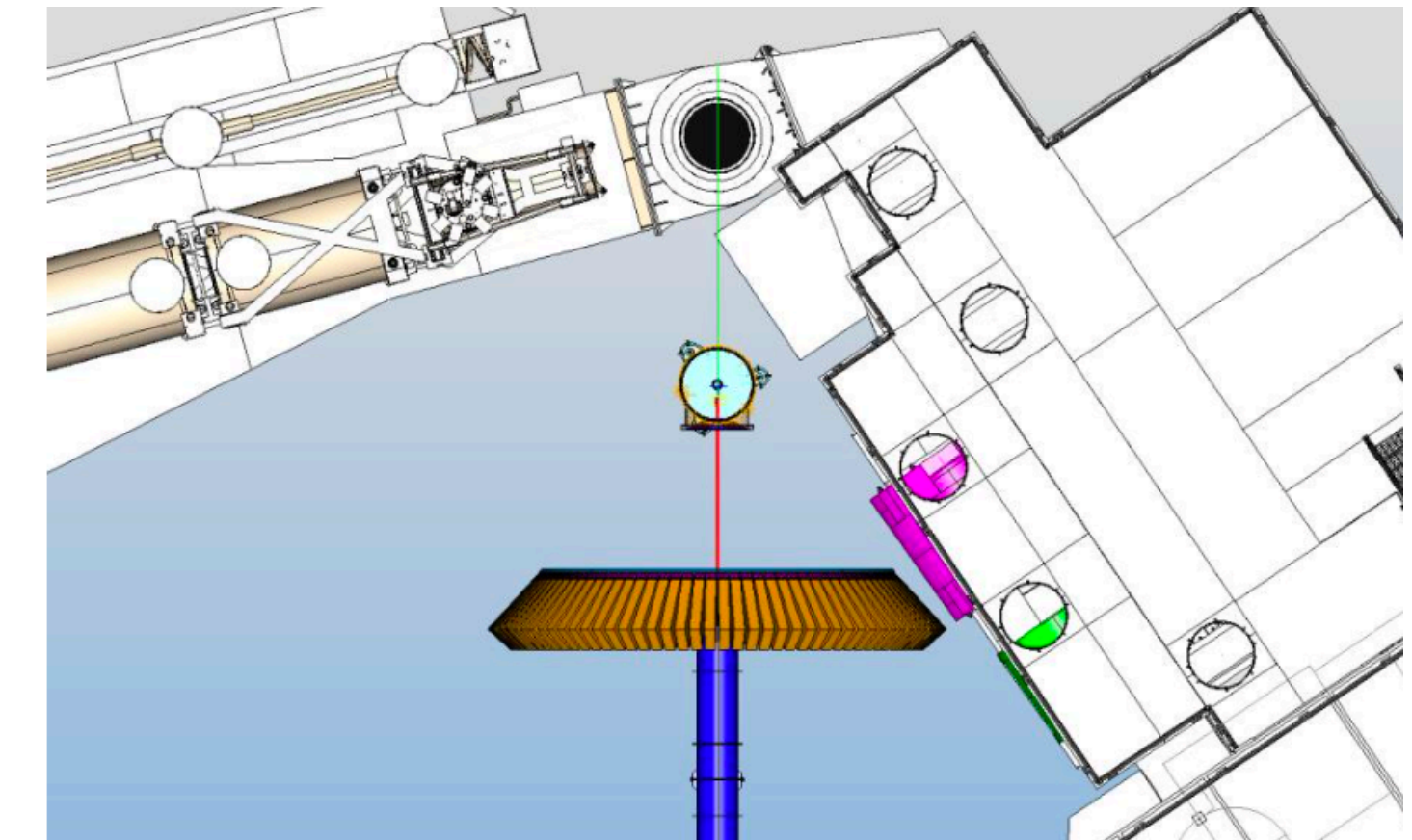
Experimental concept



Preliminary design of scattering chamber

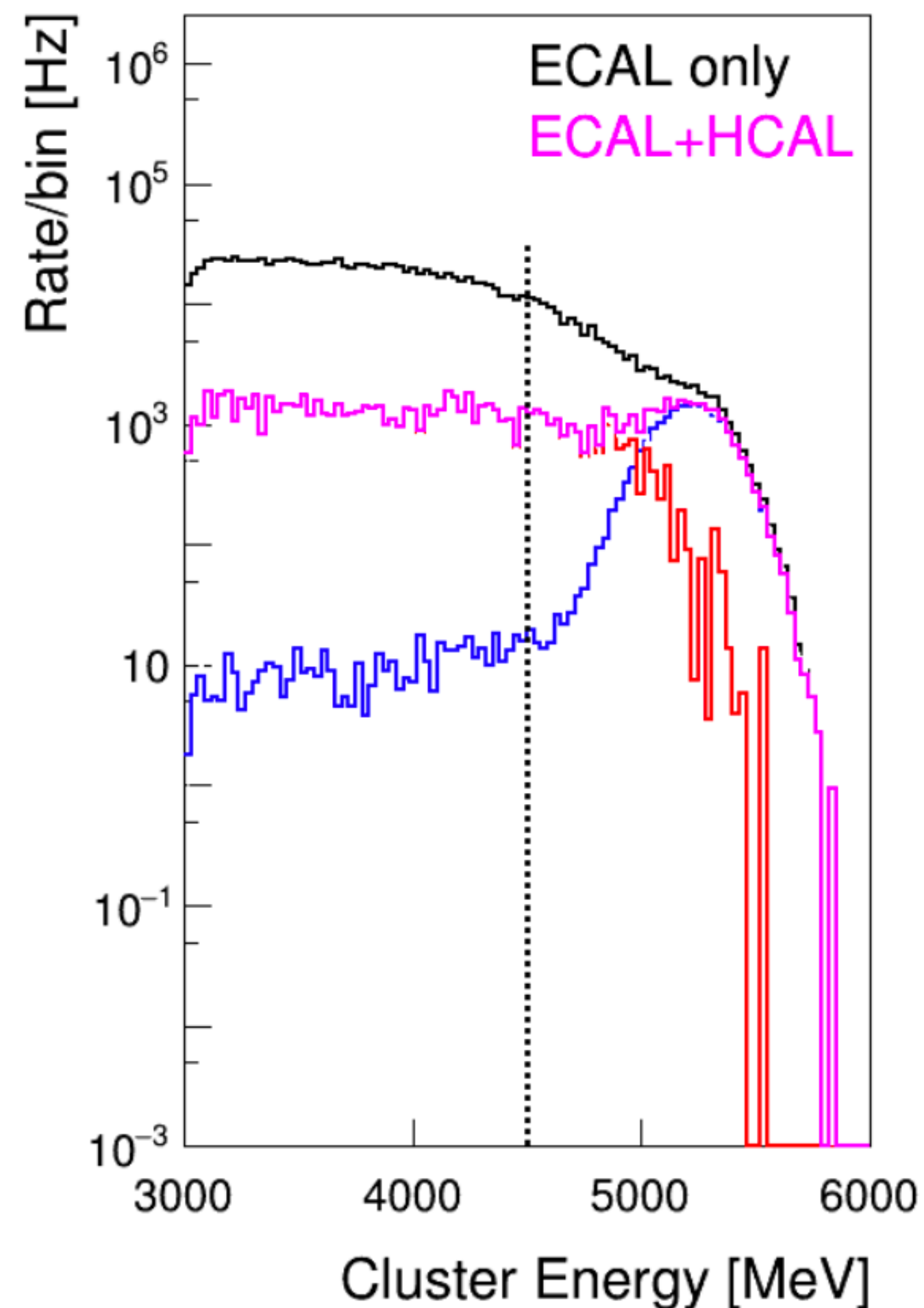
He bag will reduce backgrounds between target chamber and exit beampipe

This fits in Hall C (but it's tight)



Trigger: calorimeters, with geometric coincidence

A relatively high ECAL cut ($\sim 66\%$ of beam energy) and loose e-p coincidence cut provides high efficiency and manageable data rate

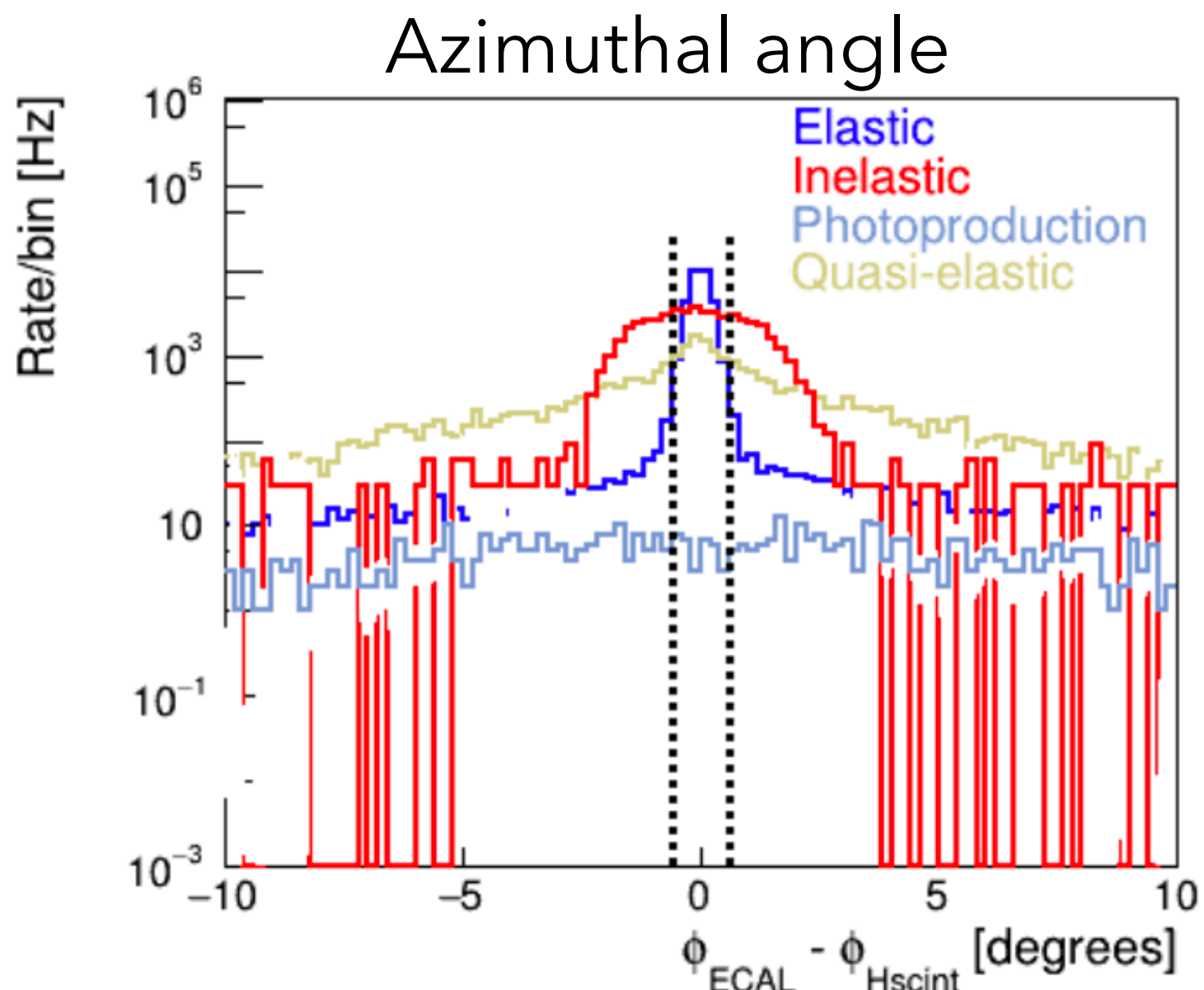


ECAL > 4.5 GeV: 150 kHz

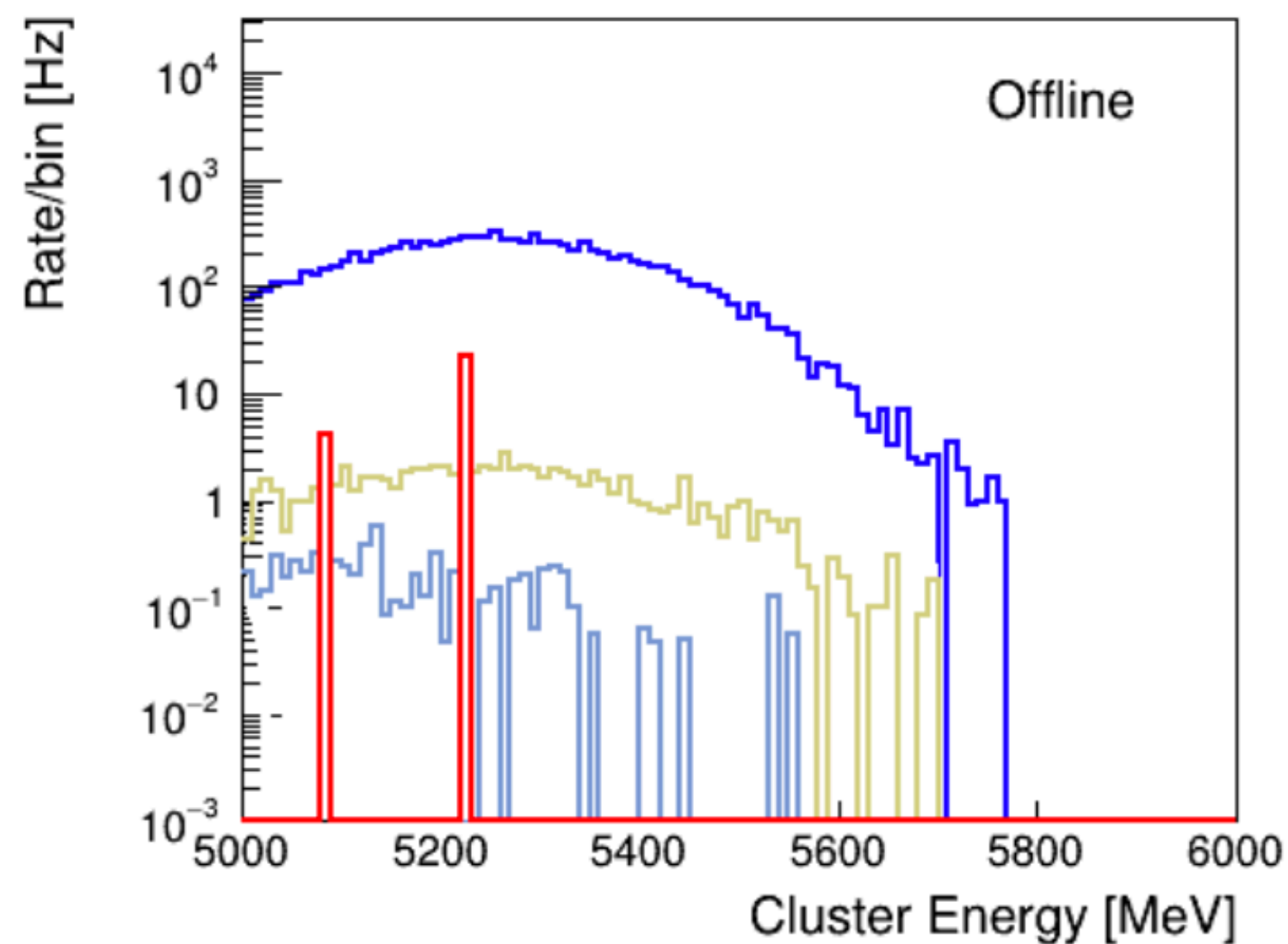
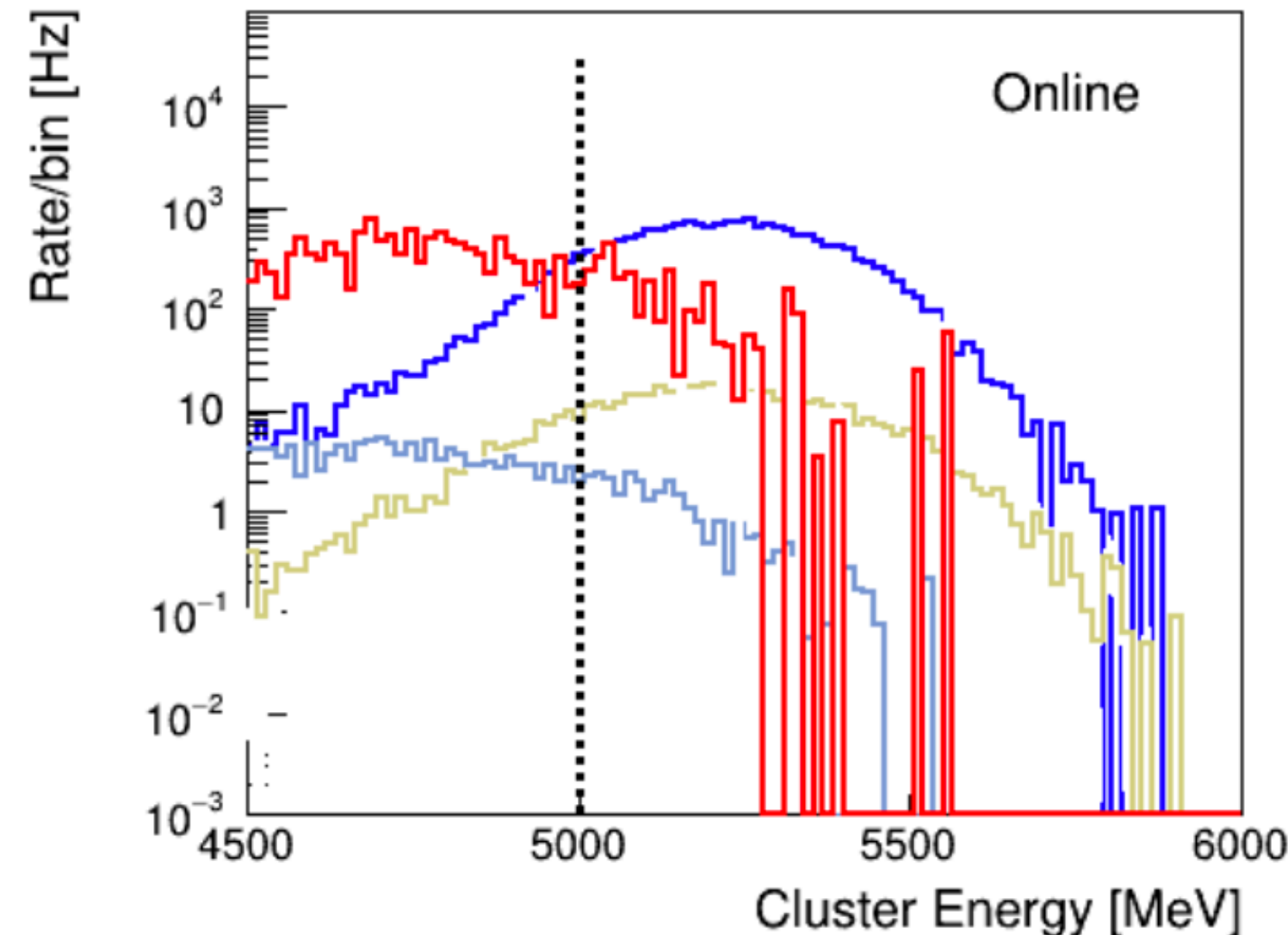
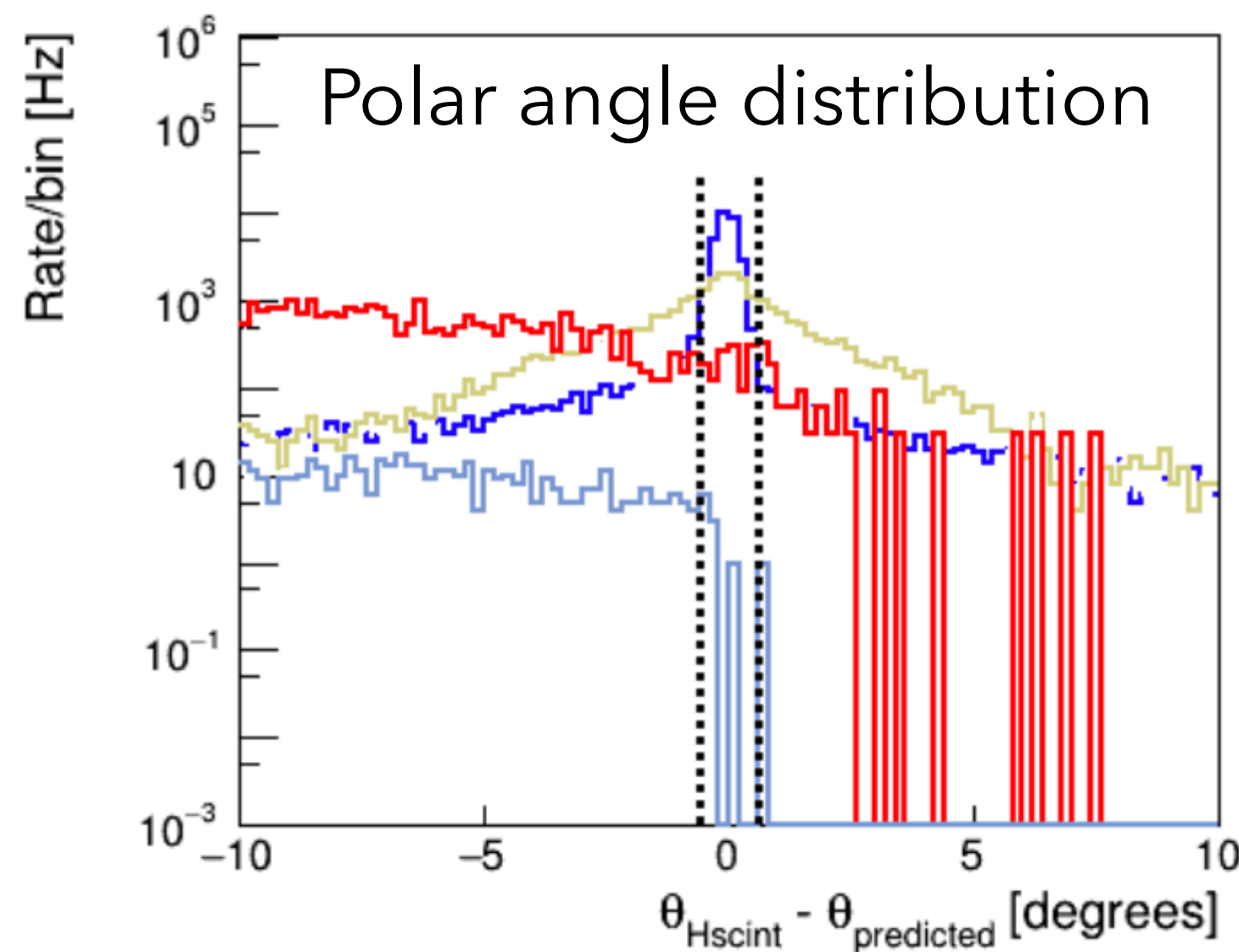
ECAL + HCAL in coincidence: 35 kHz

Fraction of total by event type	Online
Elastic scattering	0.531
Inelastic (pion electro-production)	0.450
Quasi-elastic scattering (target windows)	0.015
π^0 photo-production	0.004

Elastic event discrimination



dashed lines = offline cuts



Offline: tighten geometric cut with pixel hodoscope and ECAL cluster center

Exclude inelastic background to $\sim 0.2\%$

Fraction of total by event type	Offline
Elastic scattering	0.989
Inelastic (pion electro-production)	0.002
Quasi-elastic scattering (target windows)	0.008
π^0 photo-production	0.001

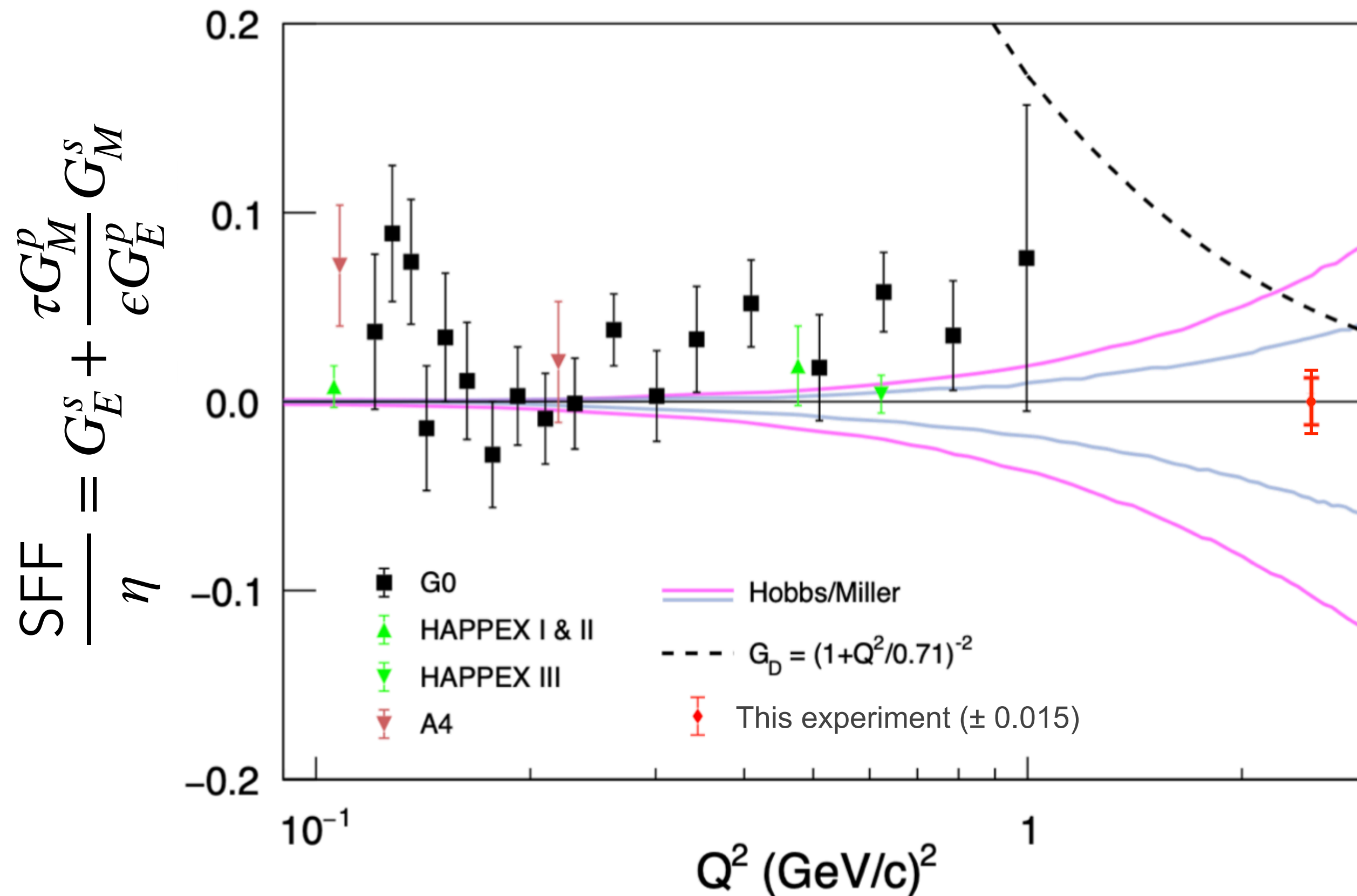
“sideband” analyses will help verify QE and inelastic asymmetries

Projected result

$A_{PV} = 150$ ppm (if no strange FF)

$\delta A_{PV} = \pm 6.2$ (stat) ± 3.3 (syst) ($\delta A/A = \pm 4\% \pm 2\%$)

$\delta (G_E^s + 3.1G_M^s) = \pm 0.013$ (stat) ± 0.007 (syst) = 0.015 (total)



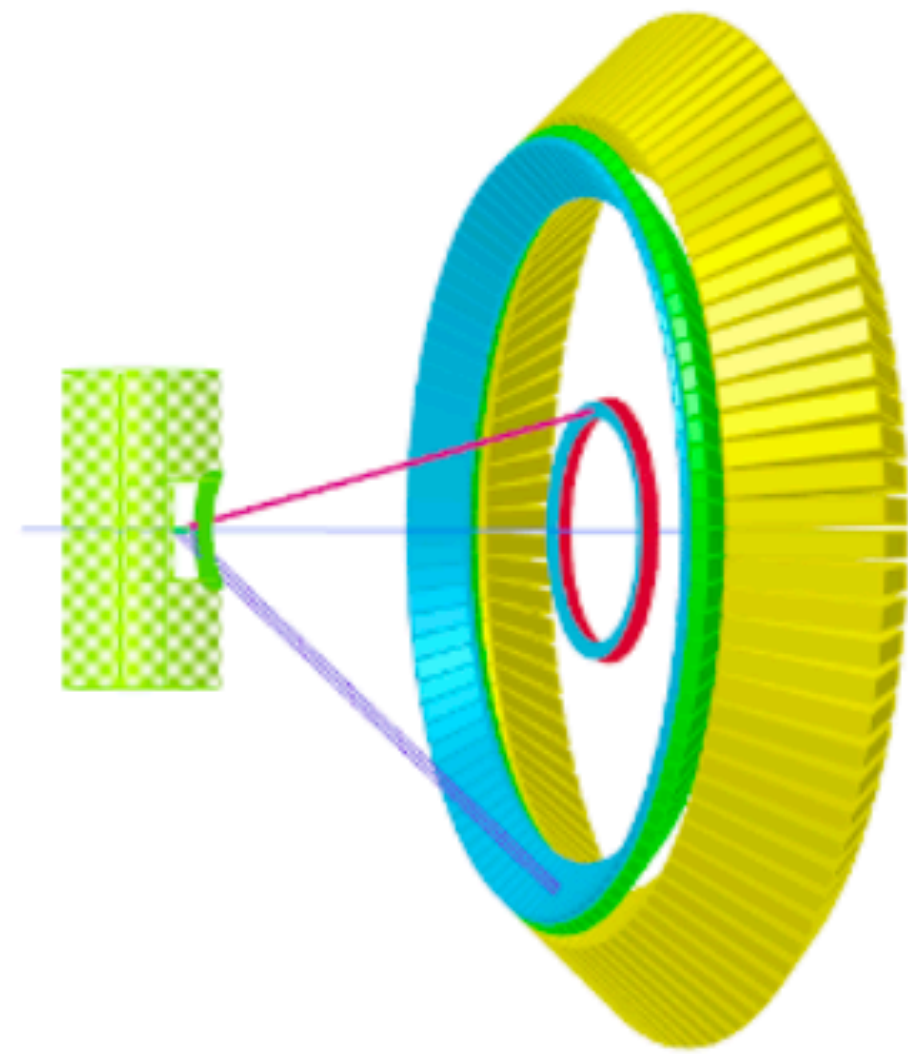
If $G_M^s = 0$, $\delta G_E^s \sim 0.015$, (about 34% of G_D)

If $G_E^s = 0$, $\delta G_M^s \sim 0.005$, (about 11% of G_D)

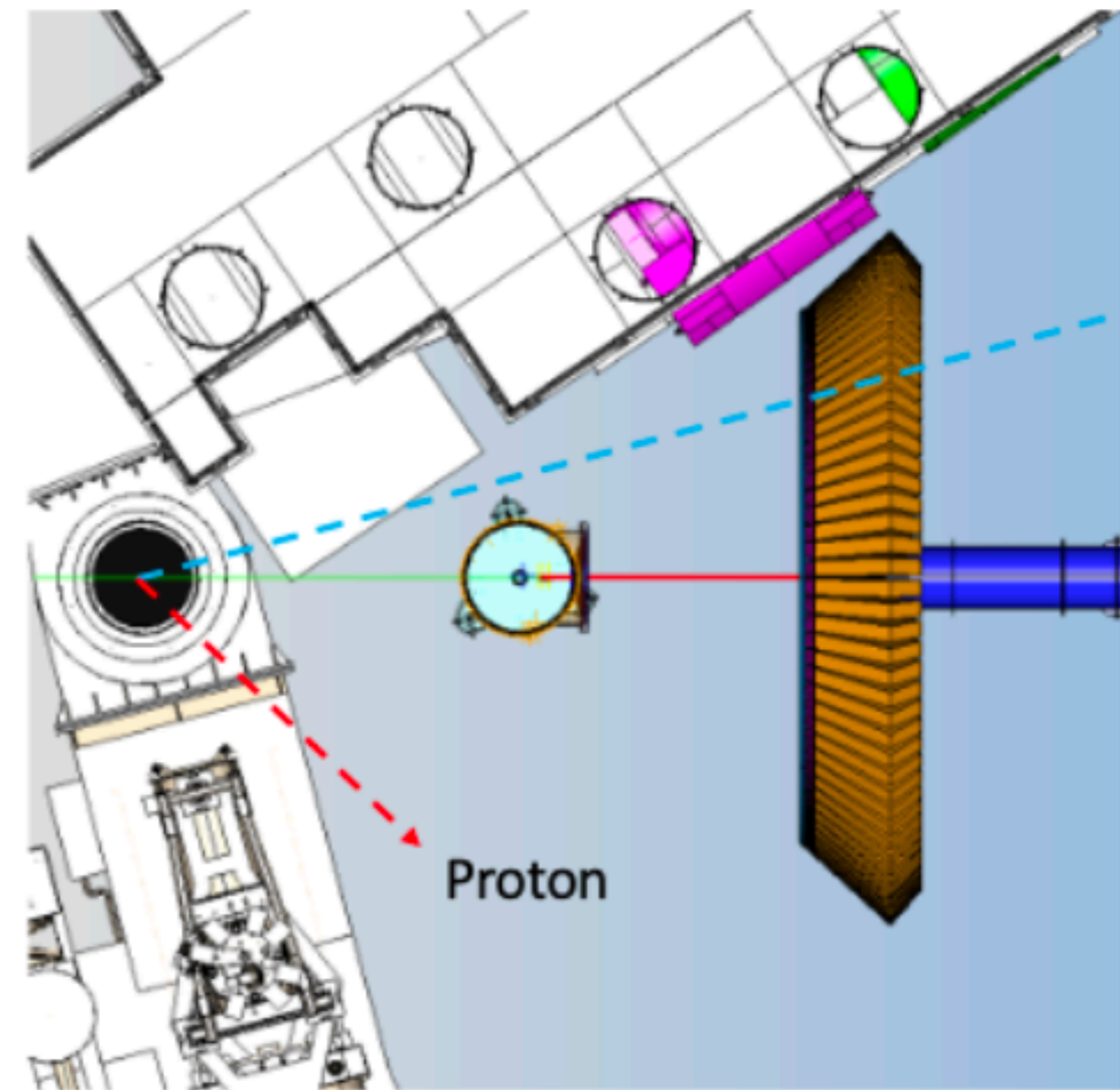
The proposed measurement is especially sensitive to G_M^s

The proposed error bar reaches the range of lattice predictions, and the empirically unknown range is much larger.

Next Step - Test Performance of Detector Concept



electron angle 15.5°
proton angle 42.4°



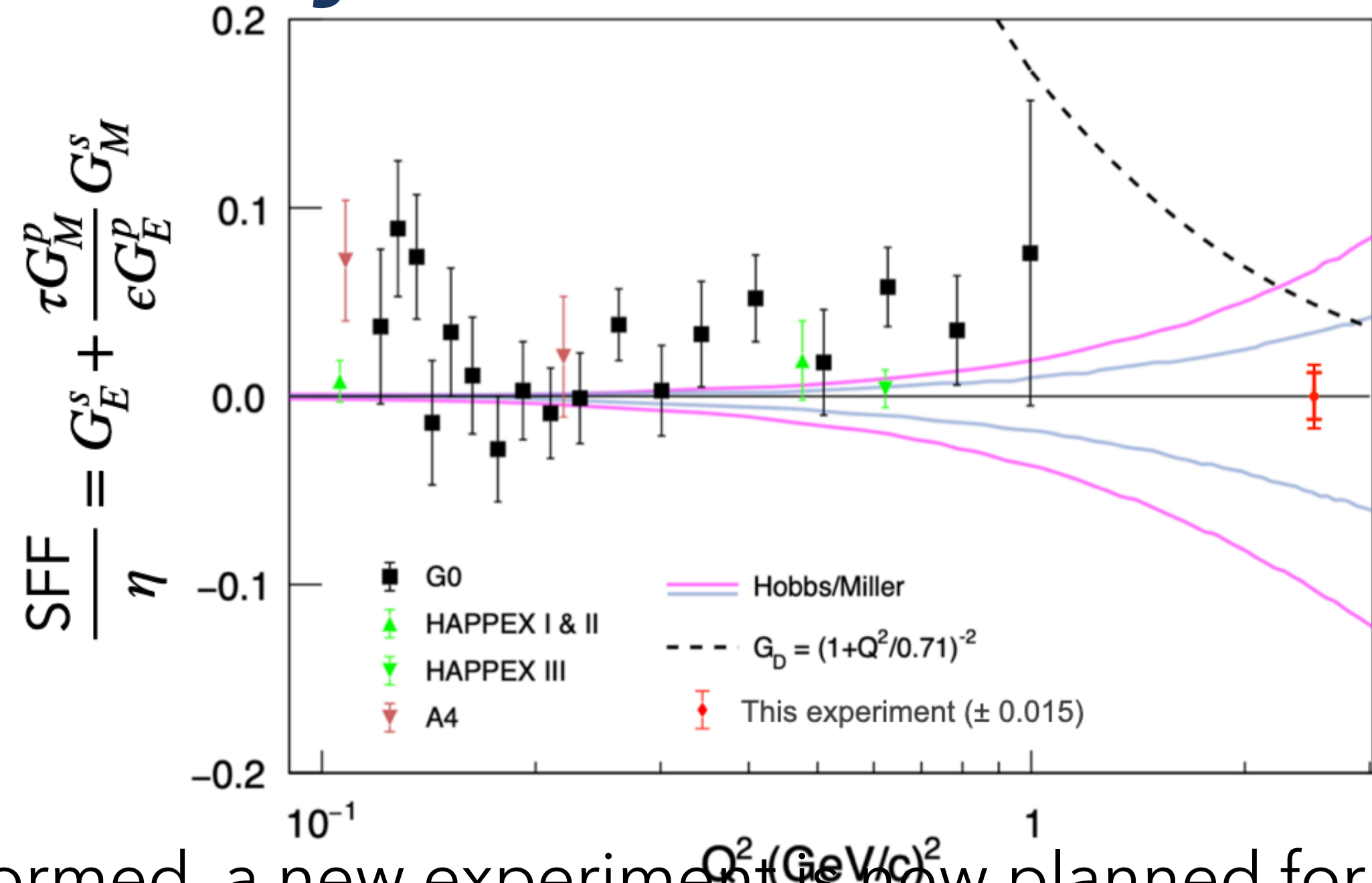
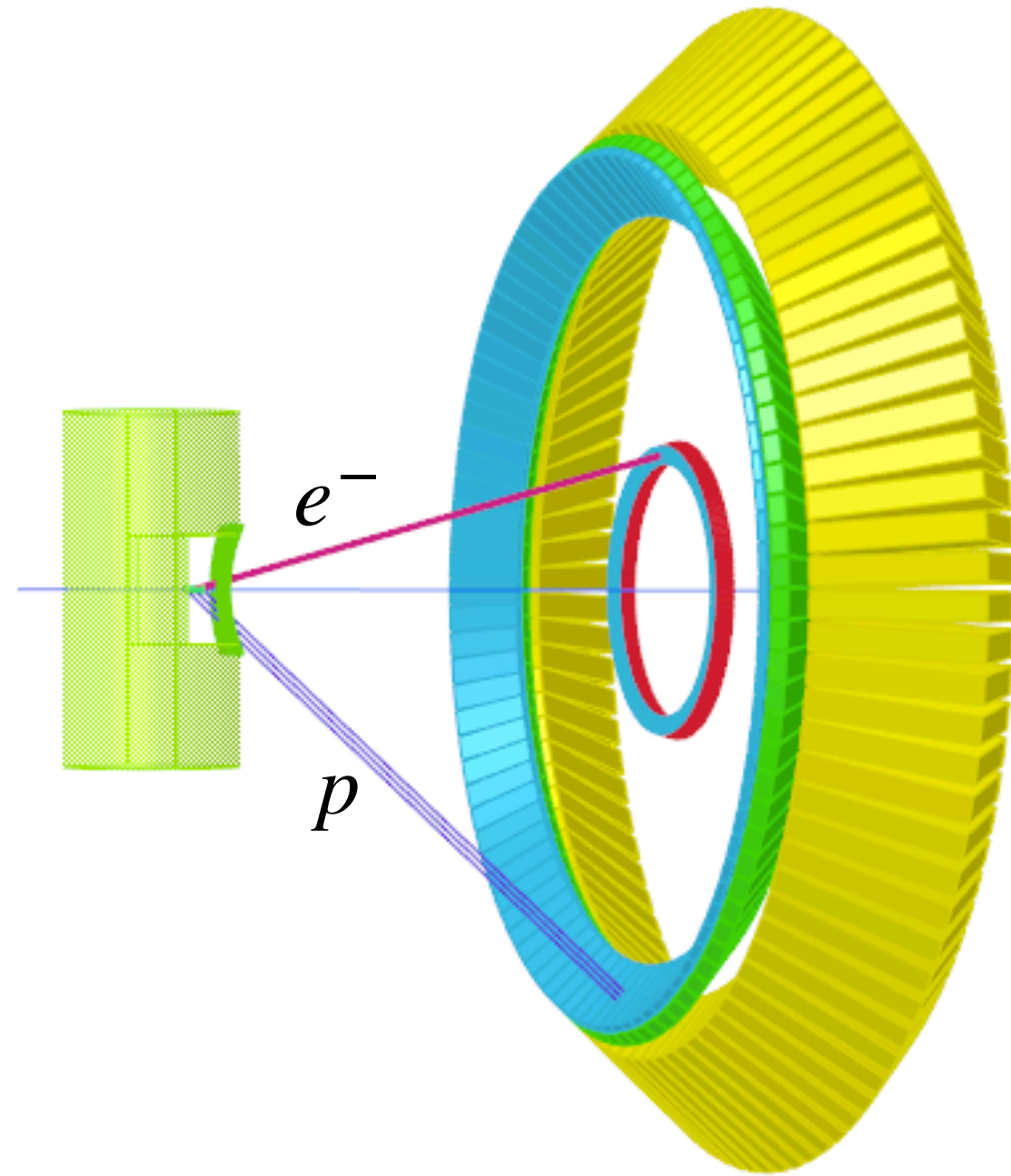
Electron
to SHMS

One can position the SHMS to 15.5° to detect electrons, measured in coincidence with a prototype proton detector at 42.4°

Prototype proton detector:

- pixel array of 32 small scintillators with MA-PMT readout with 6 SBS HCAL blocks
- NINO card front-end, FADC readout
- 50uA on 15cm Hydrogen target at 6.6 GeV, about 2kHz rate into detector
- test elastic identification and background rate

Summary



- 10+ years after the last sFF searches were performed, a new experiment is now planned for much higher Q^2 , motivated by interest in flavor decomposition of electromagnetic form factors
- Projected accuracy at $\sim 11\%$ of the dipole value allows high sensitivity search for non-zero strange form factor.
- The proposed error bar is in the range possibly suggested by lattice predictions, and significantly smaller than the uncertainty range in the extrapolation from previous strange form-factor data
- PAC approved, but needs funding and development. Schedule is as yet uncertain, but the path forward is clear.