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# Deeply Virtual Compton Scattering on Polarized Protons and Neutrons with CLAS12

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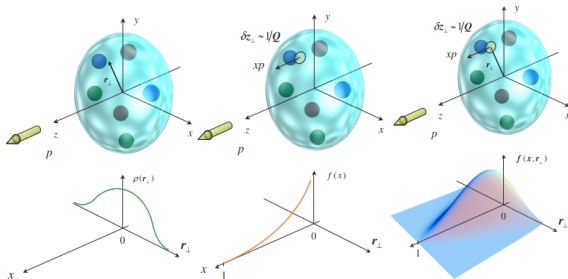
Noémie Pilleux - IJCLab, Université Paris-Saclay, France

June 15, 2023

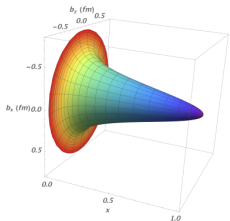
Silvia Niccolai, Carlos Munoz Camacho

# Nucleon structure studies, Generalized Parton Distributions

GPDs: partonic structure of nucleons in terms of transverse position, longitudinal momentum and their correlations.

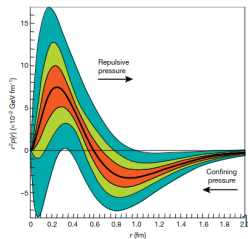


Big picture: Tomography of the nucleon? Nucleon spin origin? Forces inside the nucleon?

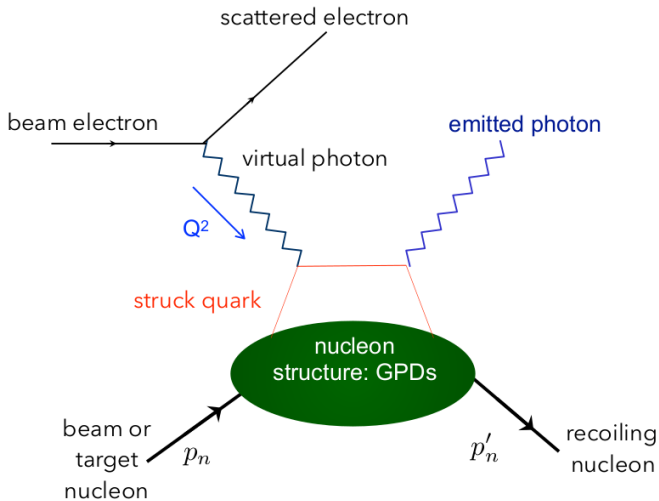


$$J_N = \frac{1}{2} = \frac{1}{2} \sum_q L_q + J_g$$

Ji's relation:  $J^q = \frac{1}{2} - J^g = \frac{1}{2} \int_{-1}^1 x dx \{ H^q(x, \xi, 0) + E^q(x, \xi, 0) \}$



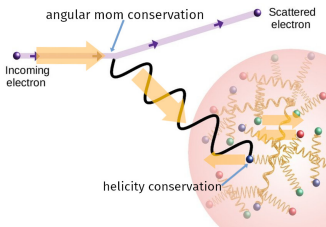
# Deeply Virtual Compton Scattering (DVCS)



# Accessing the nucleon structure by measuring asymmetries

A comment for Brynne and our MOLLER friends that use electron polarization to measure a very different kind of asymmetry 😊

Why do we measure asymmetries using polarized beams? Get an idea of it with the example of the nucleon spin structure in 1D.



- Beam  $e^-$  polarization  $\rightarrow$  probing  $\gamma$  polarization
- Coupling between opposite  $\gamma$  and quark helicities
- Electron polarization  $\rightarrow$  probes the quark helicity/spin distribution in the nucleon.





Difference in probability of scattering for each polarization state

$\Delta\sigma = \frac{\sigma_+ - \sigma_-}{\sigma_+ + \sigma_-} \propto$  difference in population of quarks of different helicity states.

Same idea for DVCS and GPDs, but in 3D!

# Accessing GPDs

Four quark GPDs can be accessed with DVCS by combining polarized beams and targets.

Beam, target polarisation		Proton    Neutron
	$\Delta\sigma_{LU} \sim \sin\phi \Im(F_1 H + \xi G_M \tilde{H} - \frac{t}{4M^2} F_2 E) d\phi$	$\begin{aligned} & \text{Im}\{H_p, \tilde{H}_p, E_p\} \\ & \text{Im}\{H_n, H_n, E_n\} \end{aligned}$
	$\Delta\sigma_{UL} \sim \sin\phi \Im(F_1 \tilde{H} + \xi G_M (H + \frac{x_B}{2} E) - \xi \frac{t}{4M^2} F_2 \tilde{E} + \dots) d\phi$	$\begin{aligned} & \text{Im}\{H_p, \tilde{H}_p\} \\ & \text{Im}\{H_n, E_n, \tilde{E}_n\} \end{aligned}$
	$\Delta\sigma_{UT} \sim \cos\phi \Im(\frac{t}{4M^2} (F_2 H - F_1 E) + \dots) d\phi$	$\begin{aligned} & \text{Im}\{H_p, E_p\} \\ & \text{Im}\{H_n\} \end{aligned}$
	$\Delta\sigma_{LL} \sim (A + B \cos\phi) \Re(F_1 \tilde{H} + \xi G_M (H + \frac{x_B}{2} E) + \dots) d\phi$	$\begin{aligned} & \text{Re}\{H_p, \tilde{H}_p\} \\ & \text{Re}\{H_n, E_n, \tilde{E}_n\} \end{aligned}$

Complete program for GPD extraction?

- Polarized beams (CEBAF)
- DVCS measurements (CLAS12)
- Polarized targets, p and n → Run Group C (CLAS12, Hall B)

# The Run Group C (RGC) Experimental Program

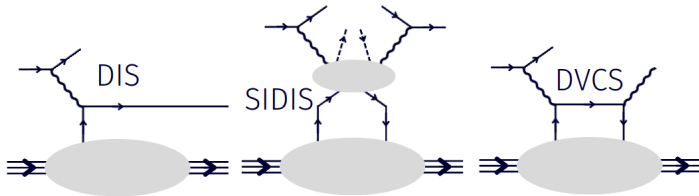
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# Run Group C at CLAS12

RGC main feature: longitudinally polarized  $NH_3$  and  $ND_3$  targets.

+ 10.5 GeV highly-polarized electron beam

A complete program of experiments to study nucleons' structure.



Data taking: 11th June 2022 - 20th March 2023 with a 3 months break due to a major hardware failure.

- My work: DVCS on polarized protons and **neutrons** in D
- This presentation: DVCS on polarized protons in H.

Disclaimer: VERY preliminary results! Not fully calibrated data, (very) small fraction of the expected statistics.

# Run Group C at CLAS12

Me : mom can we have



?

Mom : no, we have



at home

at home :



Data taking: 11th June 2022 - 20th March 2023 with a 3 months break due to a major hardware failure.

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- This presentation: DVCS on polarized protons in H.

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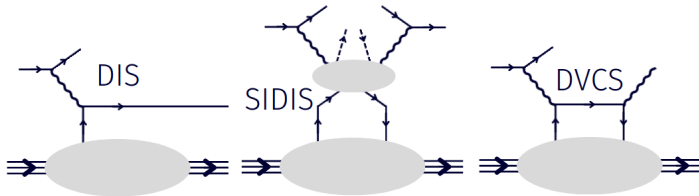


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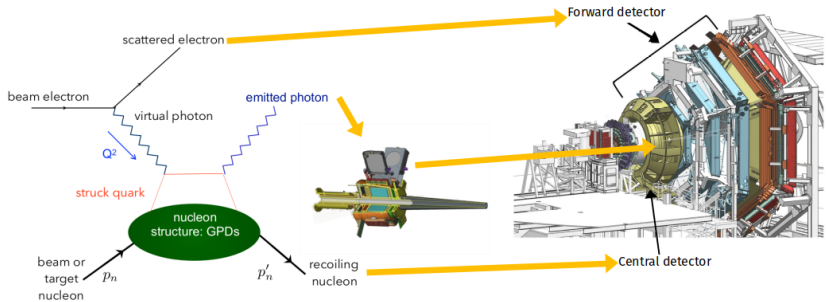


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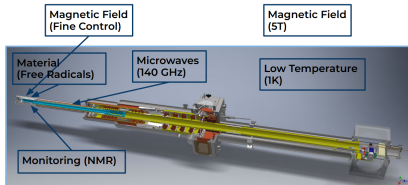
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# DVCS with CLAS12



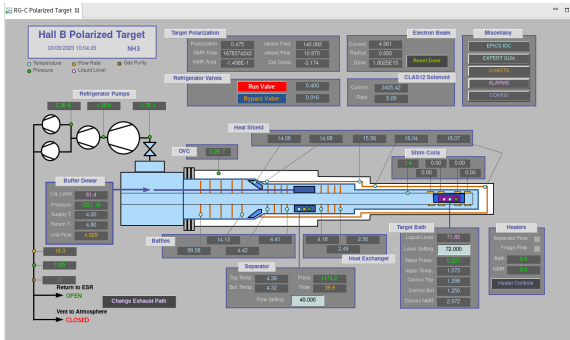
# Target overview



Ingredients for a polarized target:

- Under 5T solenoid magnetic field
- Inside a 1K cryostat
- Samples are polarized with microwaves

- $NH_3$
- $ND_3$
- Background targets: empty, C,  $CH_2$ ,  $CD_2$



## DVCS Measurement

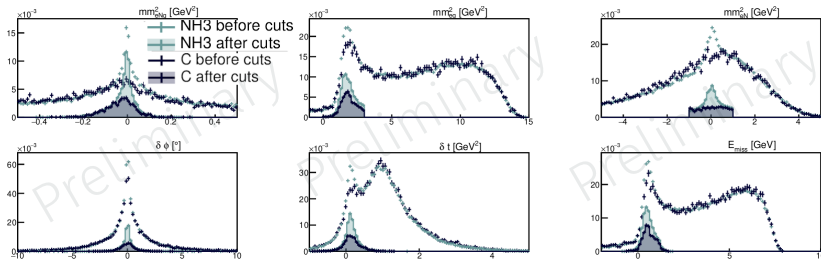
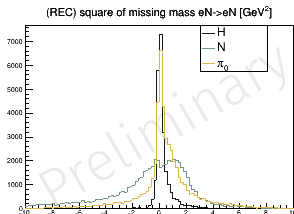
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# pDVCS events selection $ep \rightarrow ep\gamma$

- All  $ep\gamma$  events on NH3.
- Goal is to select pDVCS on H.
- Exclusivity variables: missing masses, angles, etc.
- Background: pDVCS on N,  $ep \rightarrow ep\pi^0(\gamma\gamma)$

→ Yields extracted for each beam/target polarisation combinations.

Genepi: GPD-based BH, DVCS and DVMP event generator



# What we measure: asymmetries

From the extracted  $N^{beam,target}$  yields.

- Beam Spin Asymmetry (BSA):

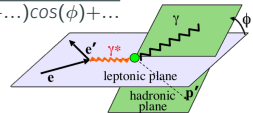
$$A_{LU} = \frac{(N^{++}+N^{+-})-(N^{-+}+N^{--})}{(N^{++}+N^{+-})+(N^{-+}+N^{--})} \simeq \frac{\overbrace{S_{1,unp}^I}^{\mathfrak{S}(\mathcal{H}_p), \mathfrak{S}(\mathcal{E}_n)} \sin(\phi)}{c_{0,unp}^{BH} + (c_{1,unp}^{BH} + c_{1,unp}^I + \dots) \cos(\phi) + \dots}$$

- Target Spin Asymmetry (TSA):

$$A_{UL} = \frac{(N^{++}+N^{-+})-(N^{+-}+N^{--})}{(N^{++}+N^{-+})+(N^{+-}+N^{--})} \simeq \frac{\overbrace{S_{1,LP}^I}^{\mathfrak{S}(\widetilde{\mathcal{H}}_p), \mathfrak{S}(\mathcal{H}_p), \mathfrak{S}(\mathcal{H}_n)} \sin(\phi)}{c_{0,unp}^{BH} + (c_{1,unp}^{BH} + c_{1,unp}^I + \dots) \cos(\phi) + \dots}$$

- Double Spin Asymmetry (DSA):

$$A_{LL} = \frac{(N^{++}+N^{--})-(N^{+-}+N^{-+})}{(N^{++}+N^{--})+(N^{+-}+N^{-+})} \simeq \frac{\overbrace{c_{0,LP}^{BH} + c_{0,LP}^I}^{\mathfrak{R}(\widetilde{\mathcal{H}}_p), \mathfrak{R}(\mathcal{H}_p), \mathfrak{R}(\mathcal{H}_n)} + \overbrace{(c_{1,LP}^{BH} + c_{1,LP}^I) \cos(\phi)}^{\mathfrak{R}(\widetilde{\mathcal{H}}_p), \mathfrak{R}(\mathcal{H}_p), \mathfrak{R}(\mathcal{H}_n)}}{c_{0,unp}^{BH} + (c_{1,unp}^{BH} + c_{1,unp}^I + \dots) \cos(\phi) + \dots}$$



# What we measure: asymmetries

From the extracted  $N^{beam,target}$  yields.

- Beam Spin Asymmetry (BSA):

$$A_{LU} = \frac{P_t^- (N^{++} - N^{-+}) + P_t^+ (N^{+-} - N^{--})}{P_b \times (P_t^- (N^{++} + N^{-+}) + P_t^+ (N^{+-} + N^{--}))} \simeq \frac{\overbrace{S_{1,unp}^I}^{\mathfrak{S}(\mathcal{H}_p), \mathfrak{S}(\mathcal{E}_n)} \sin(\phi)}{c_{0,unp}^{BH} + (c_{1,unp}^{BH} + c_{1,unp}^I + \dots) \cos(\phi) + \dots}$$

- Target Spin Asymmetry (TSA):

$$A_{UL} = \frac{N^{++} + N^{-+} - N^{+-} - N^{--}}{Df \times (P_t^- (N^{++} + N^{-+}) + P_t^+ (N^{+-} + N^{--}))} \simeq \frac{\overbrace{S_{1,LP}^I}^{\mathfrak{S}(\tilde{\mathcal{H}}_p), \mathfrak{S}(\mathcal{H}_p), \mathfrak{S}(\mathcal{H}_n)} \sin(\phi)}{c_{0,unp}^{BH} + (c_{1,unp}^{BH} + c_{1,unp}^I + \dots) \cos(\phi) + \dots}$$

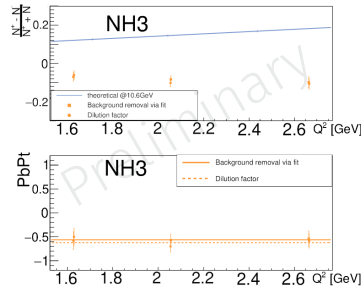
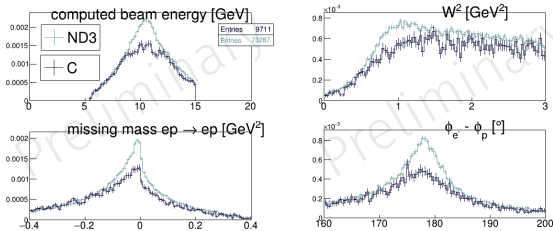
- Double Spin Asymmetry (DSA):

$$A_{LL} = \frac{N^{++} + N^{--} - N^{+-} - N^{-+}}{P_b \times Df \times (P_t^- (N^{++} + N^{-+}) + P_t^+ (N^{+-} + N^{--}))} \simeq \frac{\overbrace{c_{0,LP}^{BH} + c_{0,LP}^I}^{\mathfrak{R}(\tilde{\mathcal{H}}_p), \mathfrak{R}(\mathcal{H}_p), \mathfrak{R}(\mathcal{H}_n)} + \overbrace{(c_{1,LP}^{BH} + c_{1,LP}^I)}^{\mathfrak{R}(\tilde{\mathcal{H}}_p), \mathfrak{R}(\mathcal{H}_p), \mathfrak{R}(\mathcal{H}_n)} \cos(\phi)}{c_{0,unp}^{BH} + (c_{1,unp}^{BH} + c_{1,unp}^I + \dots) \cos(\phi) + \dots}$$

Reality: no 100% polarizations, unpolarized N background.

# Measuring the target polarization

Measuring the target polarization is not trivial. Necessitates full analysis of (quasi-)elastic  $ep \rightarrow ep$  events.

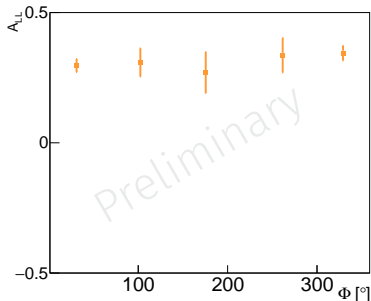
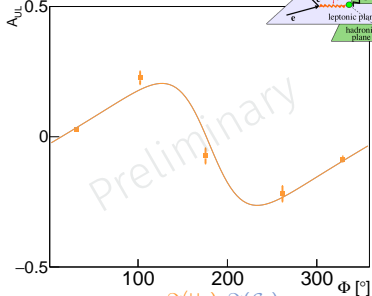
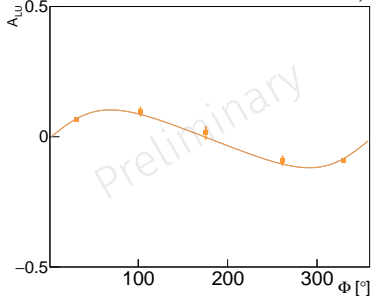


- $A = \frac{N^+ - N^-}{N^+ + N^-} = A_{\parallel}^{th} \times P_b \times P_t$
- $A_{\parallel}^{th} = \frac{2\tau G[\frac{M}{E} + G(\tau \frac{M}{E} + (1+\tau) \tan(\frac{\theta}{2})^2)]}{1+G^2 \frac{\tau}{\epsilon}}$  very well known with  $G = \frac{G_M}{G_E}$
- A very reliable way of knowing  $P_b \times P_t$ !



# Preliminary asymmetries for pDVCS (NH3)

$\langle Q^2 \rangle = 2.5 \text{ GeV}^2$ ,  $\langle X_{bj} \rangle = 0.23$ ,  $\langle -t \rangle = 0.61 \text{ GeV}$

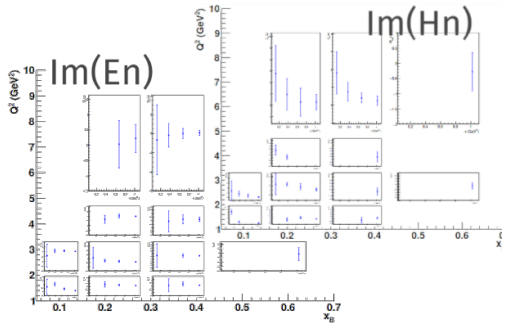
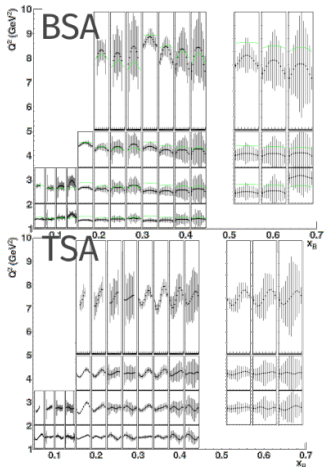


$\Im(\mathcal{H}_p), \Im(\mathcal{E}_n)$

- $$A_{LU}(\phi) \simeq \frac{\overbrace{S_{1,unp}^I \sin(\phi)}^{\Im(\mathcal{H}_p), \Im(\mathcal{E}_n)}}{\underbrace{c_{0,unp}^{BH} + (c_{1,unp}^{BH} + c_{1,unp}^I + \dots)\cos(\phi) + \dots}_{\Im(\mathcal{H}_p), \Im(\mathcal{H}_p), \Im(\mathcal{H}_n)}}$$
- $$A_{UL}(\phi) \simeq \frac{\overbrace{S_{1,LP}^I \sin(\phi)}^{\Re(\mathcal{H}_p), \Re(\mathcal{H}_p), \Re(\mathcal{H}_n)}}{\underbrace{c_{0,unp}^{BH} + (c_{1,unp}^{BH} + c_{1,unp}^I + \dots)\cos(\phi) + \dots}_{\Re(\mathcal{H}_p), \Re(\mathcal{H}_p), \Re(\mathcal{H}_n)}}$$
- $$A_{LL}(\phi) \simeq \frac{\overbrace{c_{0,LP}^{BH} + c_{0,LP}^I}_{\Re(\mathcal{H}_p), \Re(\mathcal{H}_p), \Re(\mathcal{H}_n)} + \overbrace{(c_{1,LP}^{BH} + c_{1,LP}^I)\cos(\phi)}^{\Re(\mathcal{H}_p), \Re(\mathcal{H}_p), \Re(\mathcal{H}_n)}}{c_{0,unp}^{BH} + (c_{1,unp}^{BH} + c_{1,unp}^I + \dots)\cos(\phi) + \dots}$$

# Outlooks

- Data processing is on-going
- Final analysis: BSA, TSA, DSA on polarized p and n in ND3.
- Proton and neutron CFFs, flavor dependency, D effects.



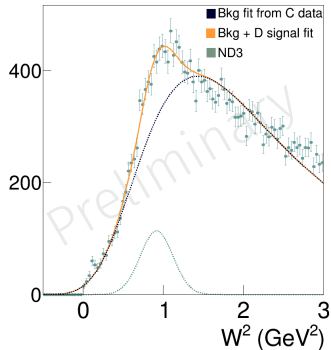
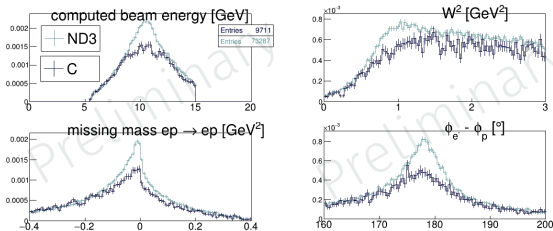
# Backup

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# Measuring the target polarization

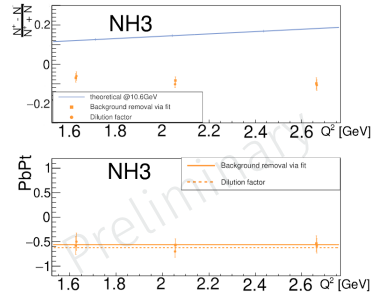
A crucial measurement that I will be using today as a warm-up for asymmetry measurements: elastic extraction of  $P_b \times P_t$

The only accurate way to measure the target polarization is by analysing (quasi-)elastic events  $ep \rightarrow ep$ .



# Elastic extraction of $P_b \times P_t$

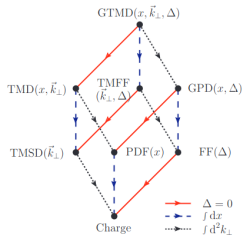
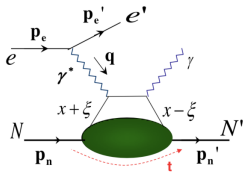
- $ep \rightarrow ep$
- Count events with + VS -  $e^-$  polarizations.
- Probes the polarization of p inside H or D.
- Observed asymmetry  $A = A_{||}^{th} \times P_b \times P_t$
- We know the proton electromagnetic form factor ratio  $G = G_M/G_E$  very well.
- Theoretical DSA  
$$A_{||}^{th} = \frac{2\tau G[\frac{M}{E} + G(\tau \frac{M}{E} + (1+\tau) \tan(\frac{\theta}{2}))^2]}{1+G^2 \frac{\tau}{\epsilon}}$$
- A very reliable way of knowing  $P_b \times P_t$ !



Of course the full story is more subtle:

- Taking into account N background? Dilution factors.
- Max likelihood estimator for  $P_b \times P_t$ ?
- Low statistics at 10.5 GeV
- Radiative effects? Resolution effects? Nuclear binding in D?

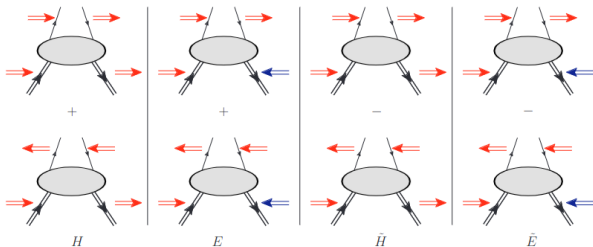
# Miscellaneous DVCS and GPDs information



- $Q^2 = -q^2 = -(p_e - p_e')^2$

- $t = (p_n - p_n')^2$

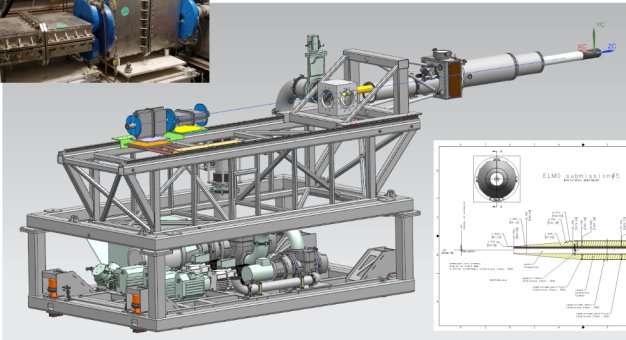
- $X_{Bj} = \frac{Q^2}{2p_n q}$



# The RGC beamline

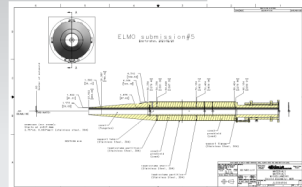
## The raster magnets

- Target is depolarized by radiation damage
- Beam is moved uniformly on the surface = **rastering**



## FTOn/ELMO configurations

- Beginning and end of RGC used the Forward Tagger
- Middle of the run used the ELMO Möller cone



# The RGC schedule

Original plan: Run from June 8, 2022 to March 14, 2023 **120 PAC days**

