

Hall A DVCS Collaboration Meeting

Associated BH Simulations

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Motivation

Examining the effect of resolution smearing : Contamination of exclusive sample by the associated Bethe-Heitler

$$H(e, e' \gamma) X$$

Exclusive DVCS

$$ep \longrightarrow ep\gamma$$

$$M_X^2 \leq (M + m_\pi)^2$$

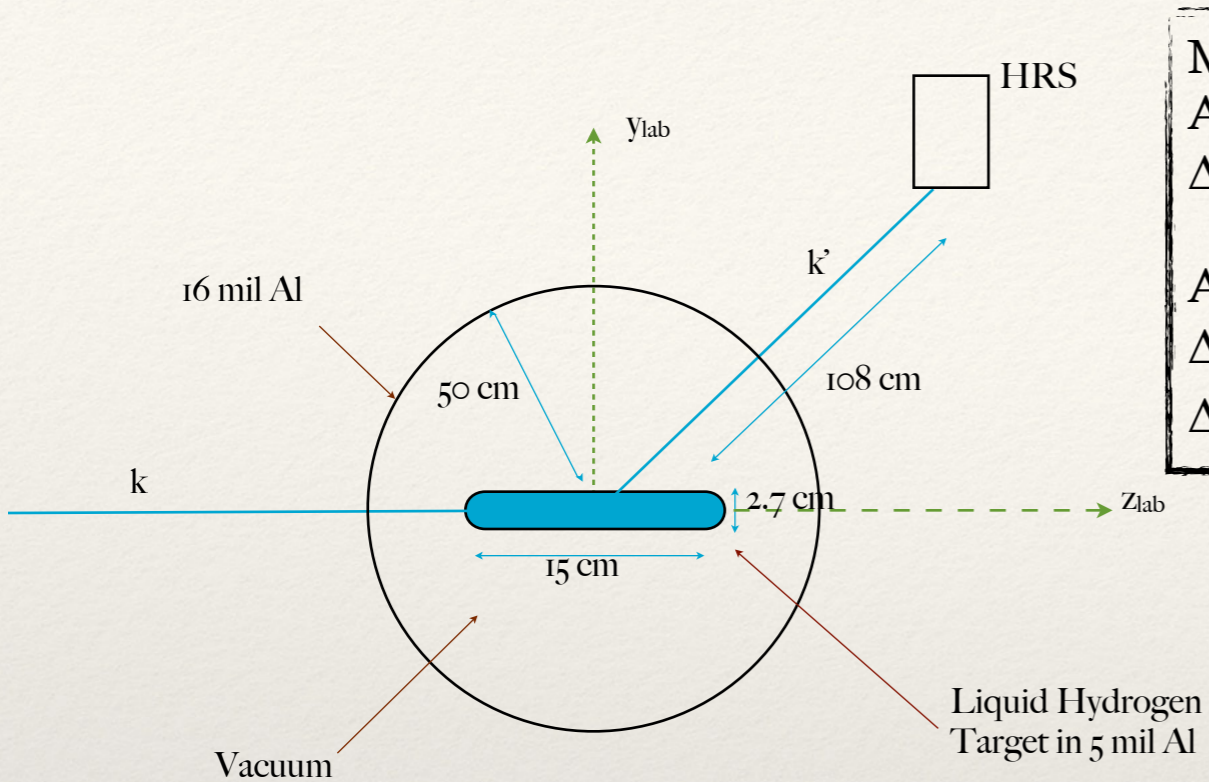
Associated DVCS

$$e + p \longrightarrow e + \gamma + N\pi$$

Steps.....

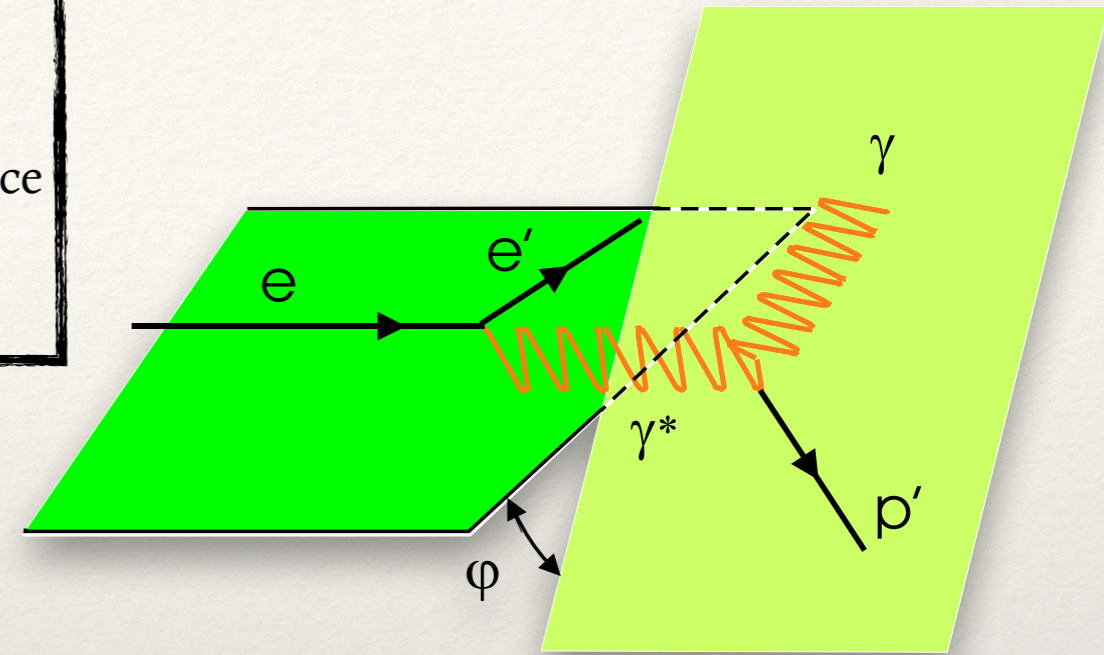
- Write an event generator program
- Take in to account the radiative correction
- Add momentum smearing
- Add cross sections

Generator



Momentum
Acceptance
 $\Delta k = \pm 4.5\%$

Angular acceptance
 $\Delta\theta_H = \pm 30 \text{ mr}$
 $\Delta\theta_V = \pm 60 \text{ mr}$



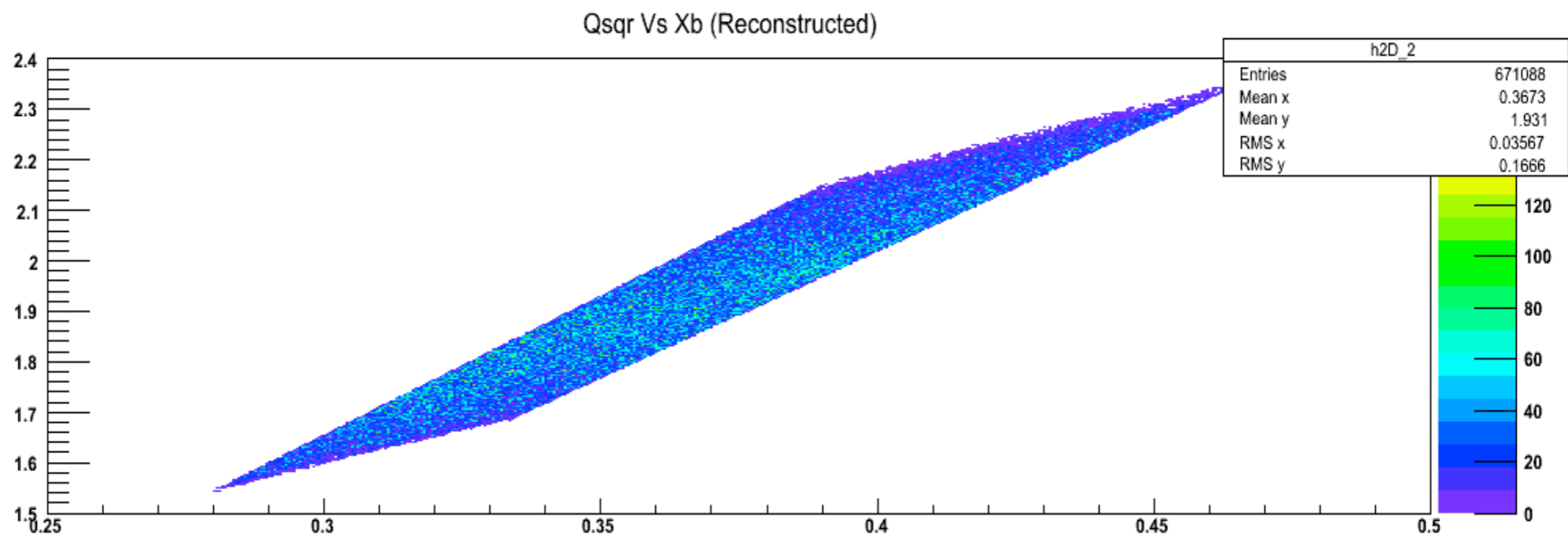
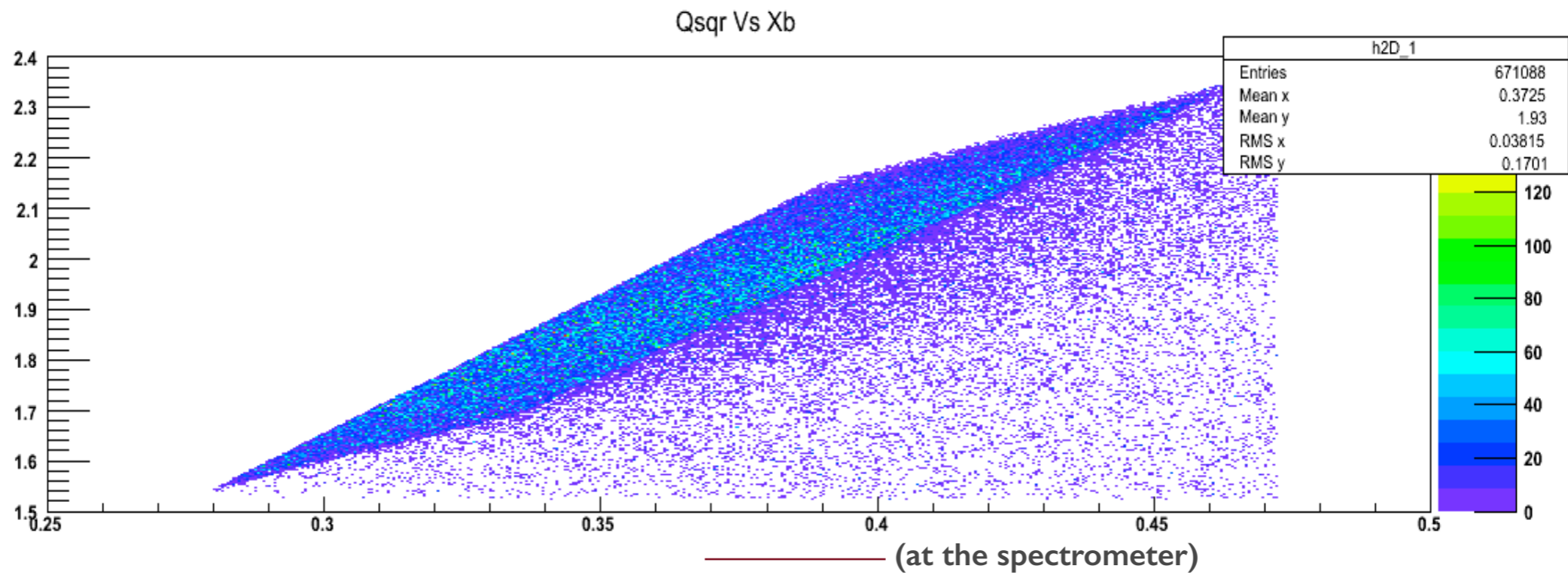
Generate events in 5 fold differential space for exclusive DVCS
and 8 fold space for Associated DVCS

$$Q^2, X_b, t_{\min} - t, \Phi_{\gamma\gamma}, \Phi_e, M^{*2}, \theta_{cm}^\pi \text{ and } \Phi_{cm}^\pi$$

θ_{cm}^π and Φ_{cm}^π
are Polar and
Azimuthal angles in
 M^* rest frame

$x^* \otimes z^*$ plane is the DVCS reaction plane
and sign of x^* was chosen in a way that
 $\hat{x}^* = \hat{x}_q$ when $\Phi_{\gamma\gamma} = 0$

$Q^2 - X_b$ Space



Radiative Corrections

X. Jiang, PhD thesis, University of Massachusetts Amherst
L. W. Mo, Y. S. Tsai, Rev. Mod. Phys. 41, 205 (1969)

$$E^{\text{ext}} = E_0 R_{\text{Ext}}^{1/bt}$$

External radiative correction - $b=4/3$

$$E_1^{\text{int}} = E^{\text{ext}} (R_1^{\text{Int}})^{2/\nu}$$

Internal real corrections - Applied once before
and once after the scattering

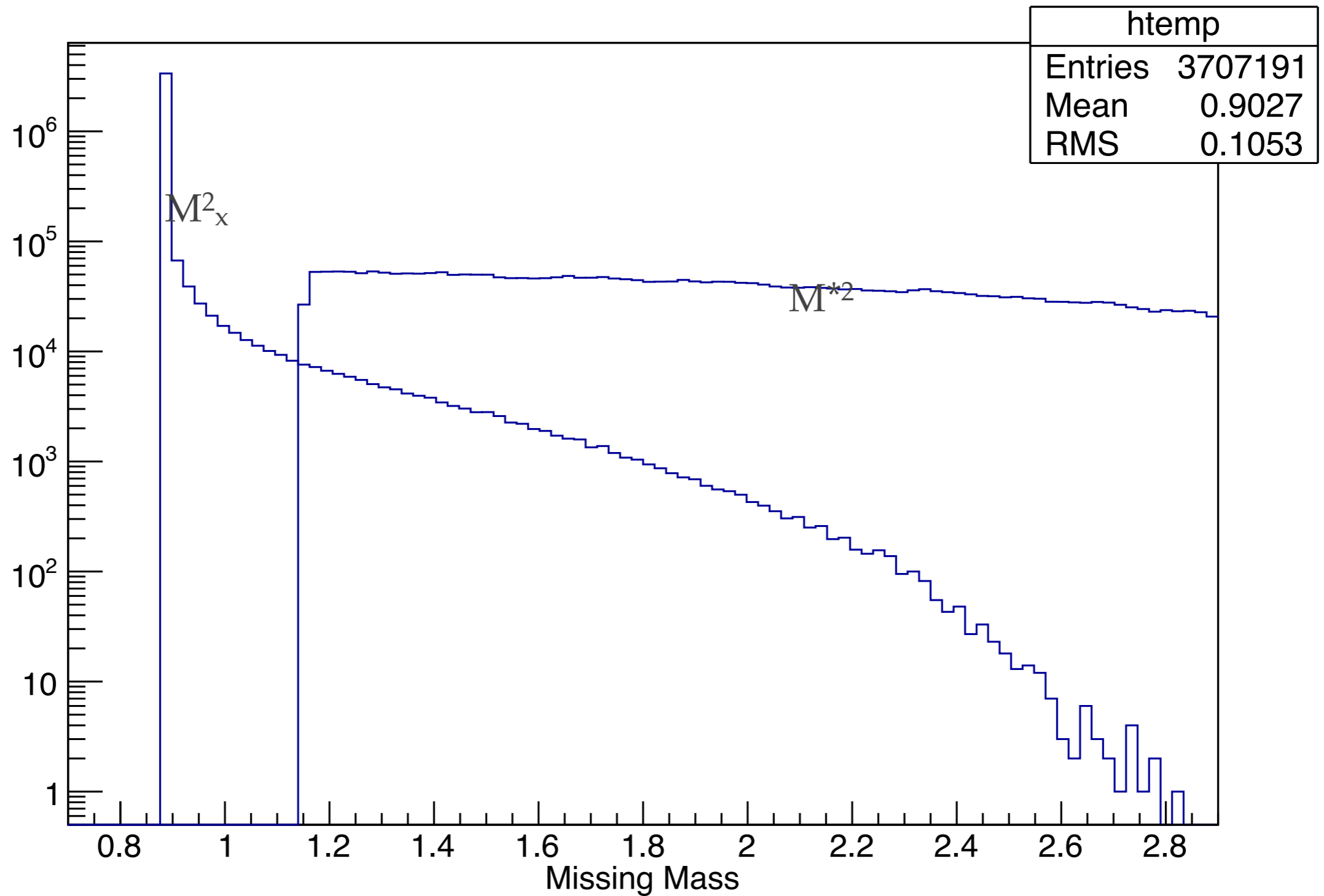
$$\nu = \frac{\alpha}{\pi} \left[\ln \left(\frac{Q^2}{m_e^2} \right) - 1 \right]$$

R - Random number in [0,1]

In addition, bremsstrahlung from the aluminum windows is also accounted

Radiative corrections can be turned on and off at will

Missing mass squared



Resolution smearing

Simple Gaussian Momentum Smearing

$$\hat{z}_s = \frac{\vec{k}'}{|\vec{k}'|} \quad \hat{y}_s = \frac{\hat{z} \times \vec{k}'}{|\hat{z} \times \vec{k}'|} \quad \hat{x}_s = \hat{y}_s \times \hat{z}_s$$

$$\vec{k}'_s = k' U_x \hat{x}_s + k' U_y \hat{y}_s + \vec{k}' (1 + U_g)$$

HRS

$$\sigma_{\text{HRS}} = 2 \times 10^{-4}$$

$$\sigma_x = 0.001 \text{mr}$$

$$\sigma_y = 0.002 \text{mr}$$

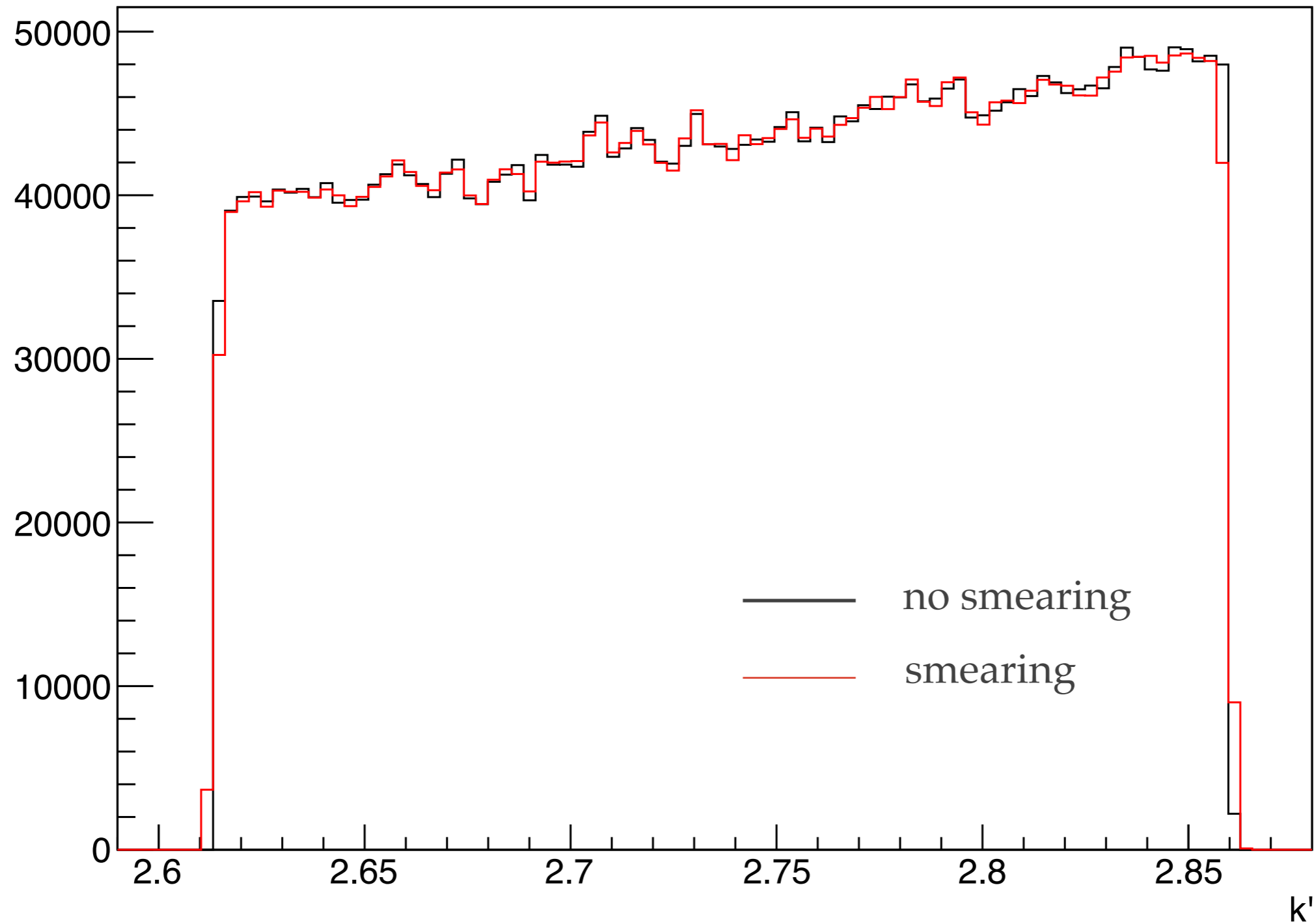
Calorimeter

$$\sigma_{qz1} = 0.02\%$$

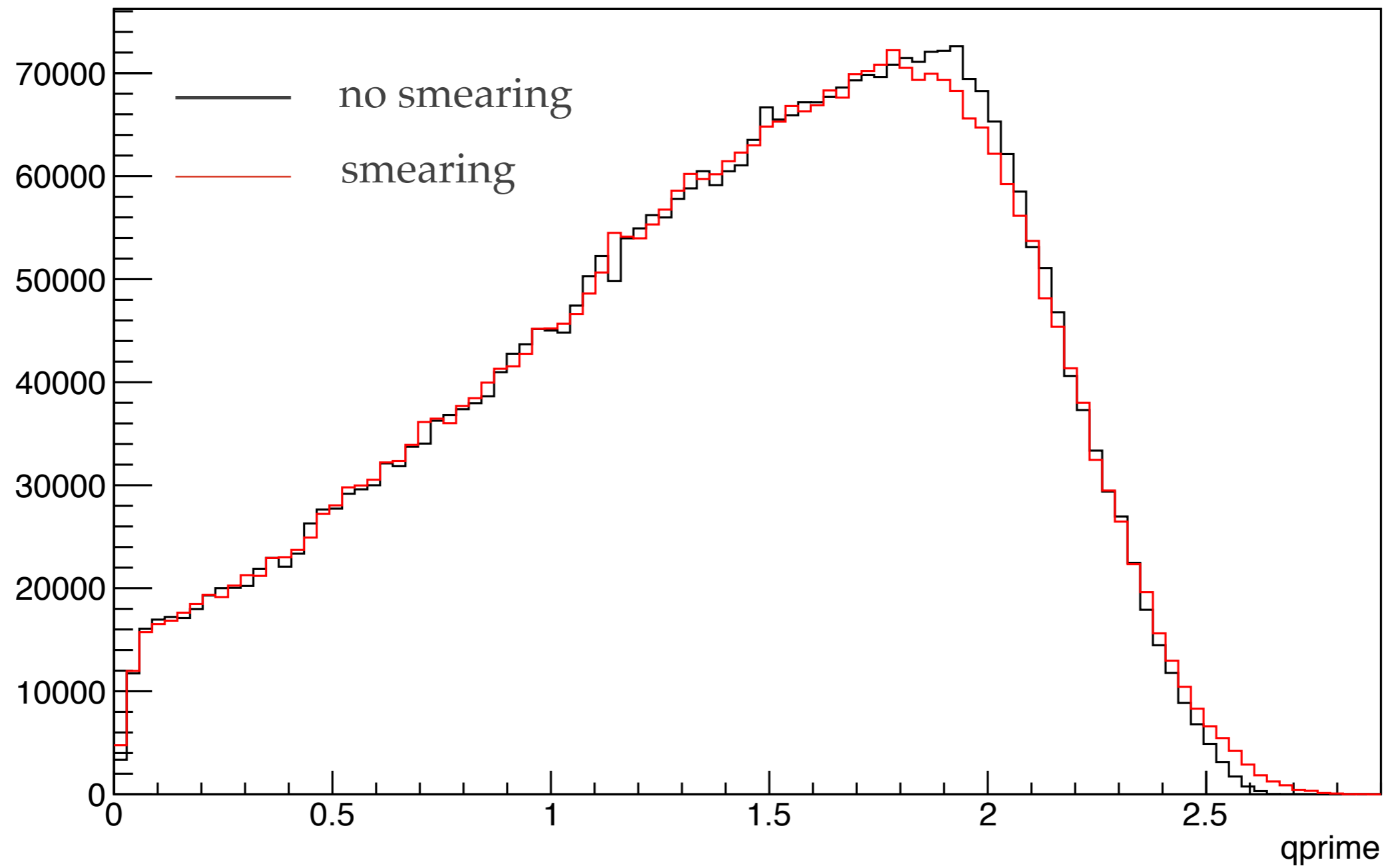
$$\sigma_{qz2} = 0.06\% / \sqrt{q'}$$

$$\sigma_{qxy} = 0.3 \text{cm} / \sqrt{q'}$$

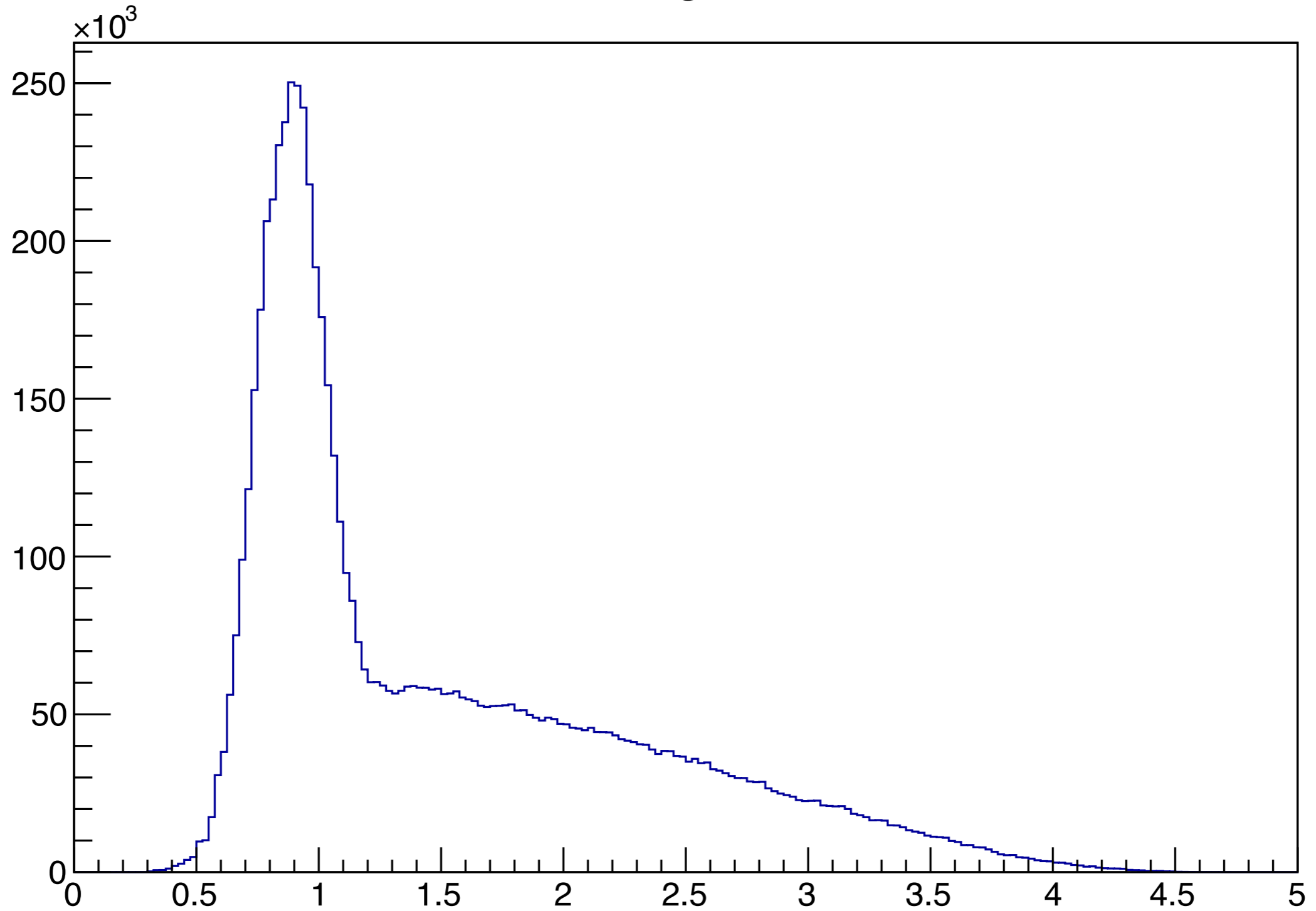
k' smearing



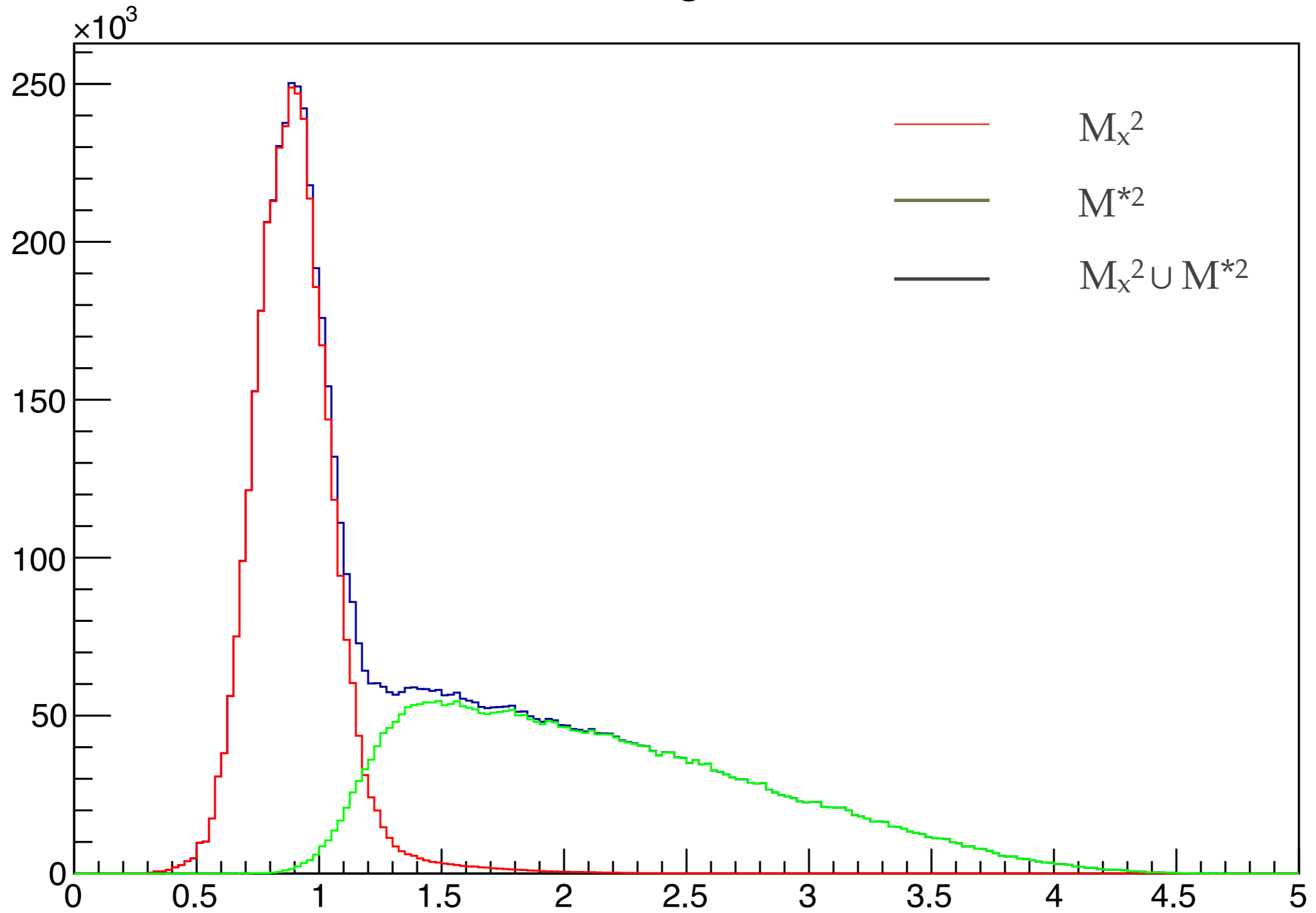
q' smearing



Missing Mass



Missing Mass



Next.....

Adding Bethe-Heitler cross section as a first estimate.

Pion production in deeply virtual Compton scattering

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(Dated: 7th February 2008)

"In all affairs of life, at every moment, we have a choice."

~ Zen Proverb