

Inclusive DIS, SIDIS, and Accessing Nuclear Pions with TDIS

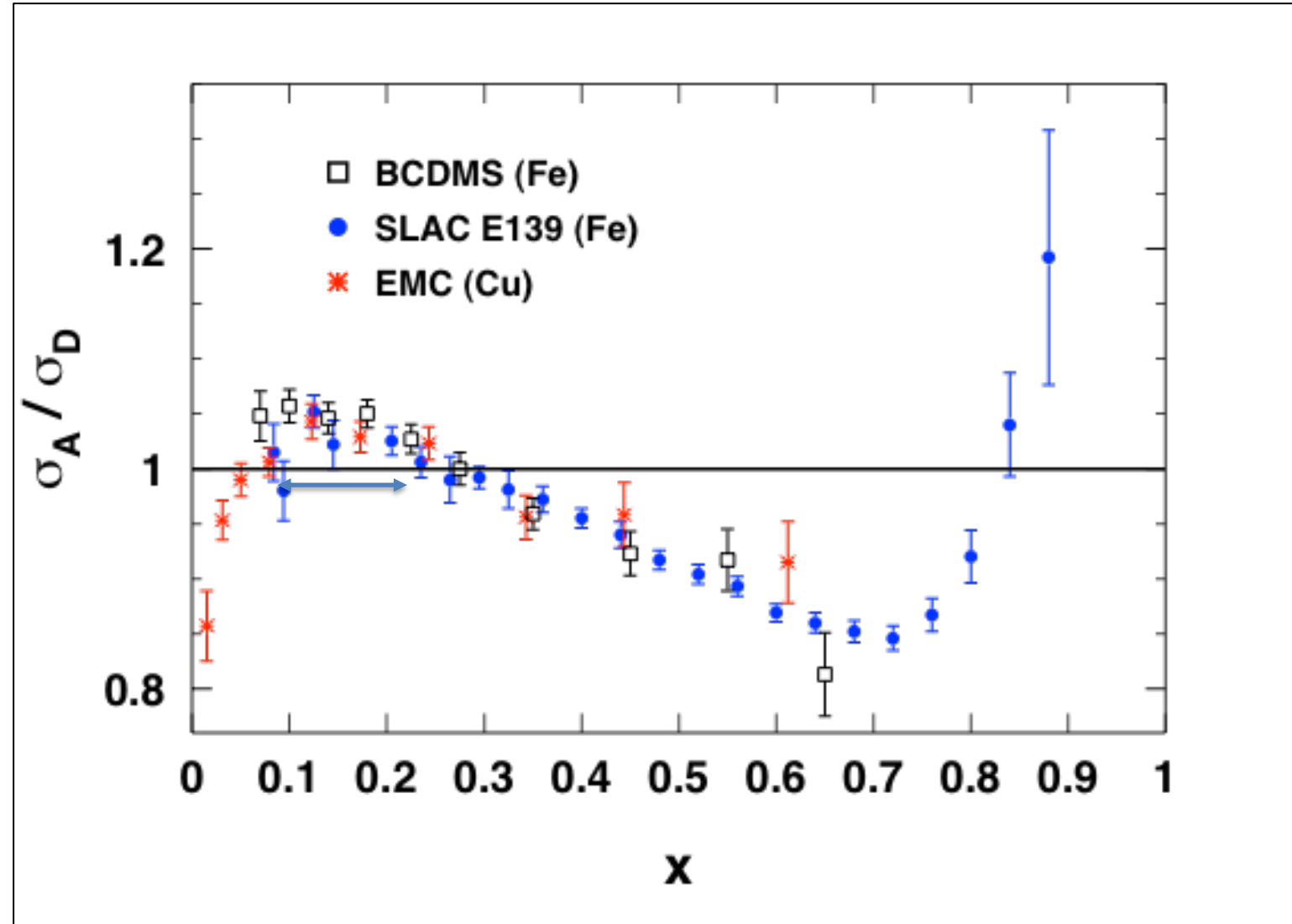
Dave Gaskell (JLab) and Dipangkar Dutta (MSU)
Science at Mid-x: Anti-Shadowing and the Role of the Sea
July 22-23, 2022

Anti-Shadowing in Inclusive DIS

Anti-shadowing
data/measurements from
unseparated cross
sections

→ Can we improve
precision/reach for σ_A/σ_D ?

→ Is it the same for σ_T
and σ_L ?



Inclusive Ratios

Anti-shadowing small effect (~few %) → normalization uncertainties crucial

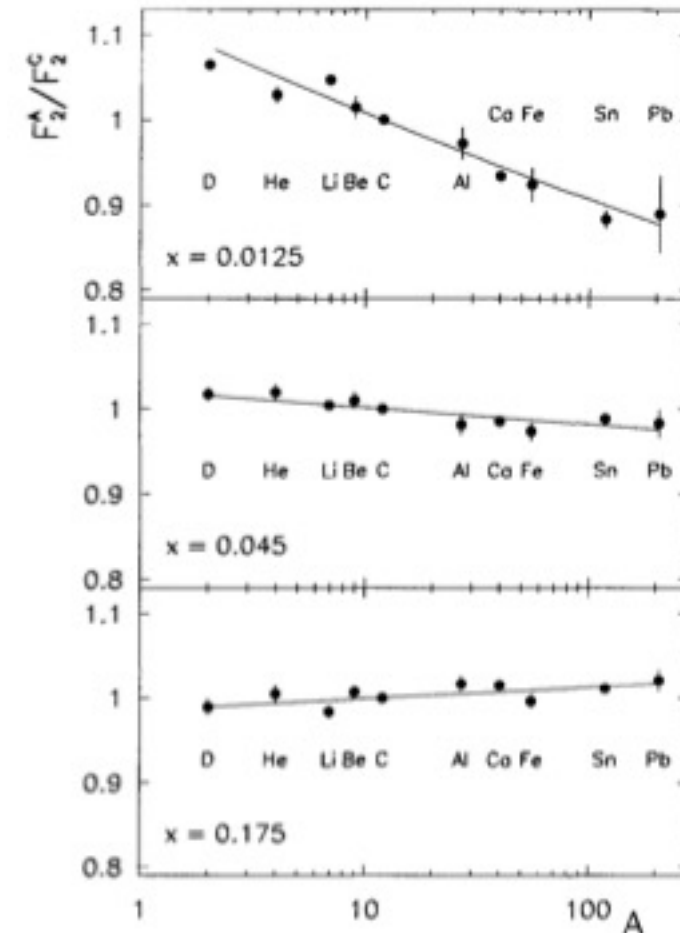
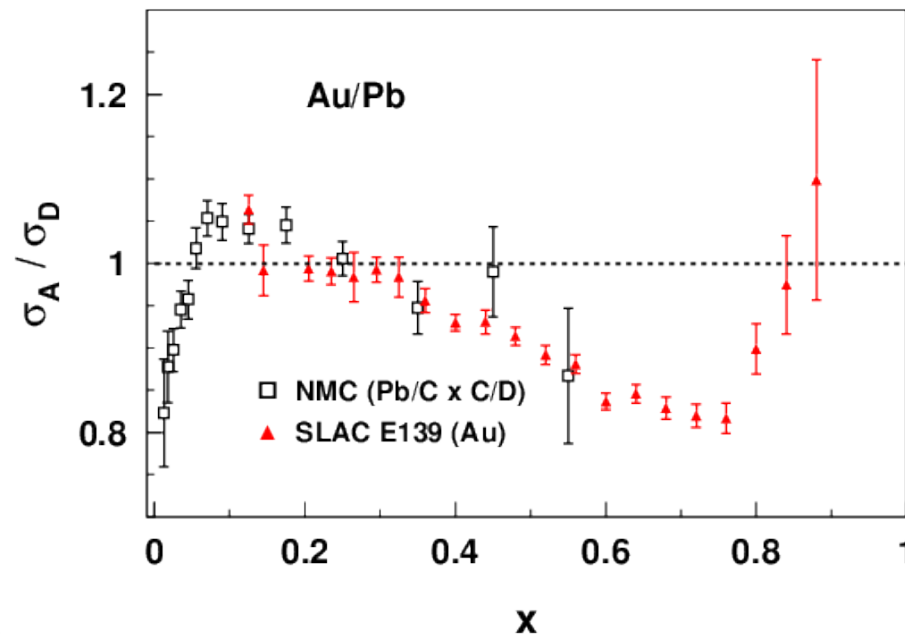
→ At JLab, normalization uncertainties for A/D ratios typically ~1.5%

→ Could be improved with extra effort (improved solid target thickness measurements, etc.), but difficult to overcome uncertainty in cryotarget thickness

NMC measurements achieved ultimate precision to-date

→ A/D: Normalization uncertainty = 0.4%

→ C/D: Normalization uncertainty = 0.2%



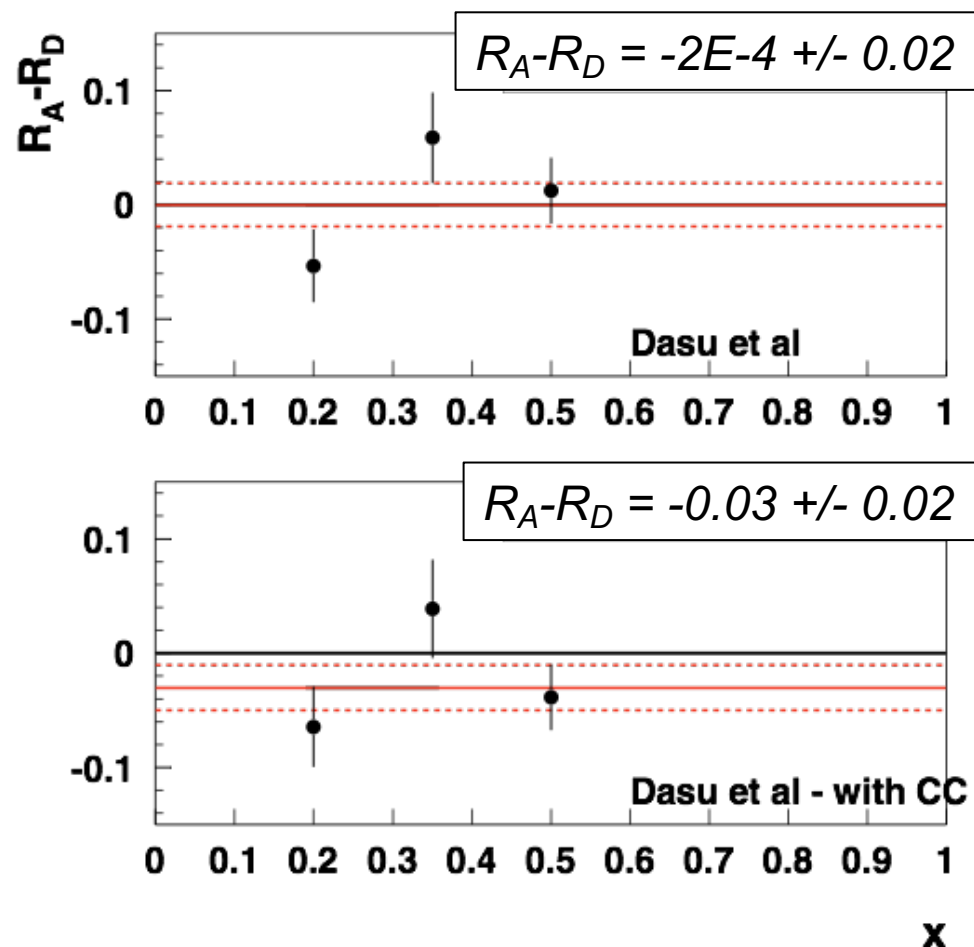
Nuclear Dependence of R?

Few direct measurements of $R_A - R_D$ at any x , much less in anti-shadowing region

E140 made measurements from Fe and Au at $x=0.2, 0.35, 0.5$

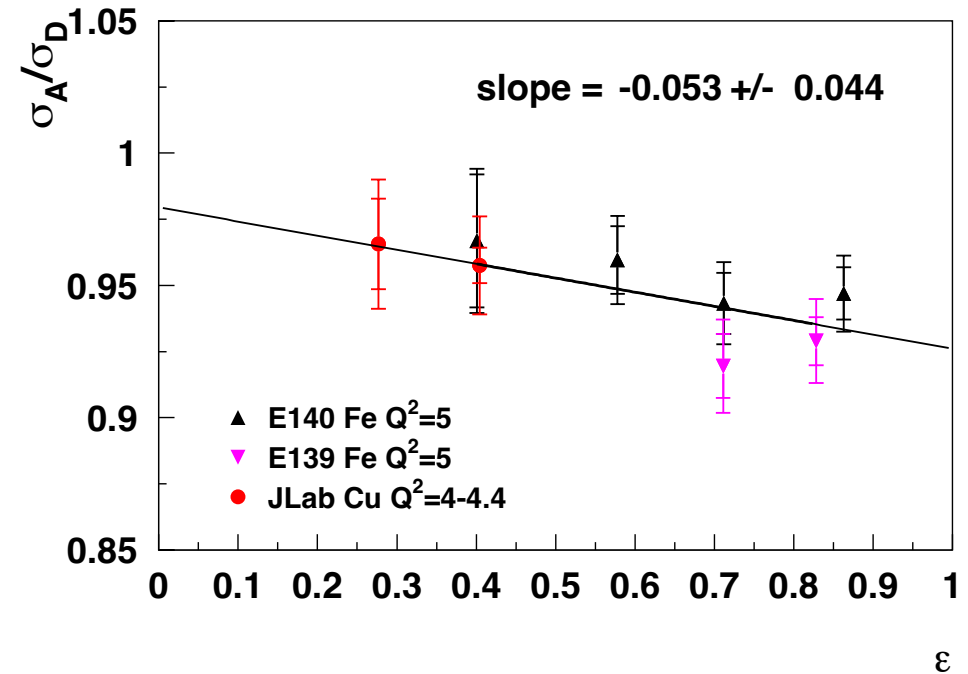
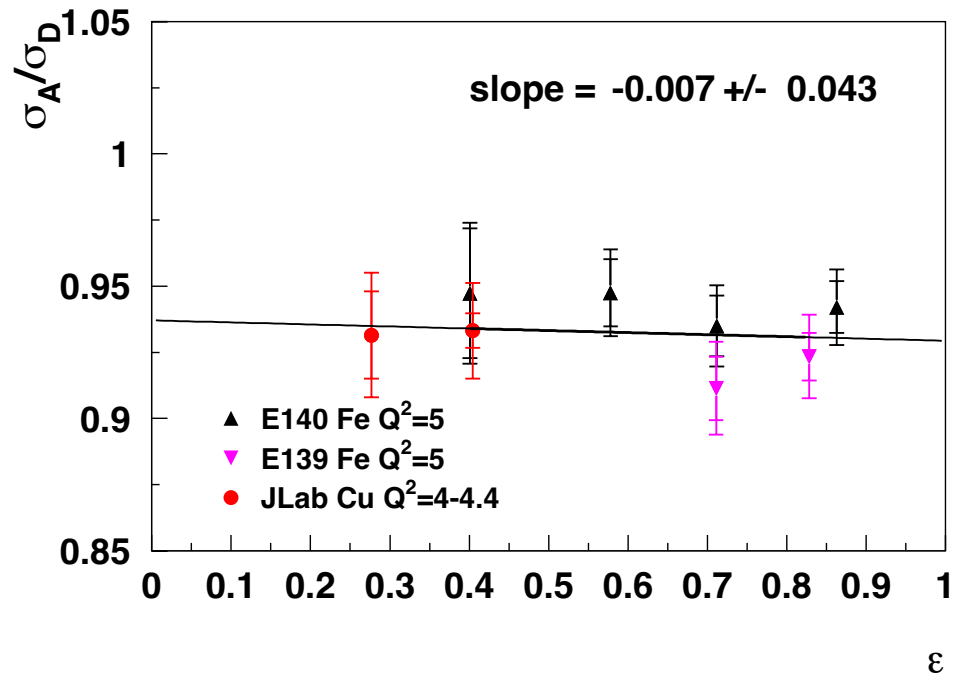
→ Original results consistent with no nuclear dependence

→ When re-analyzed to include Coulomb Corrections, some hint of non-zero $R_A - R_D$



Nuclear Dependence of R at large x

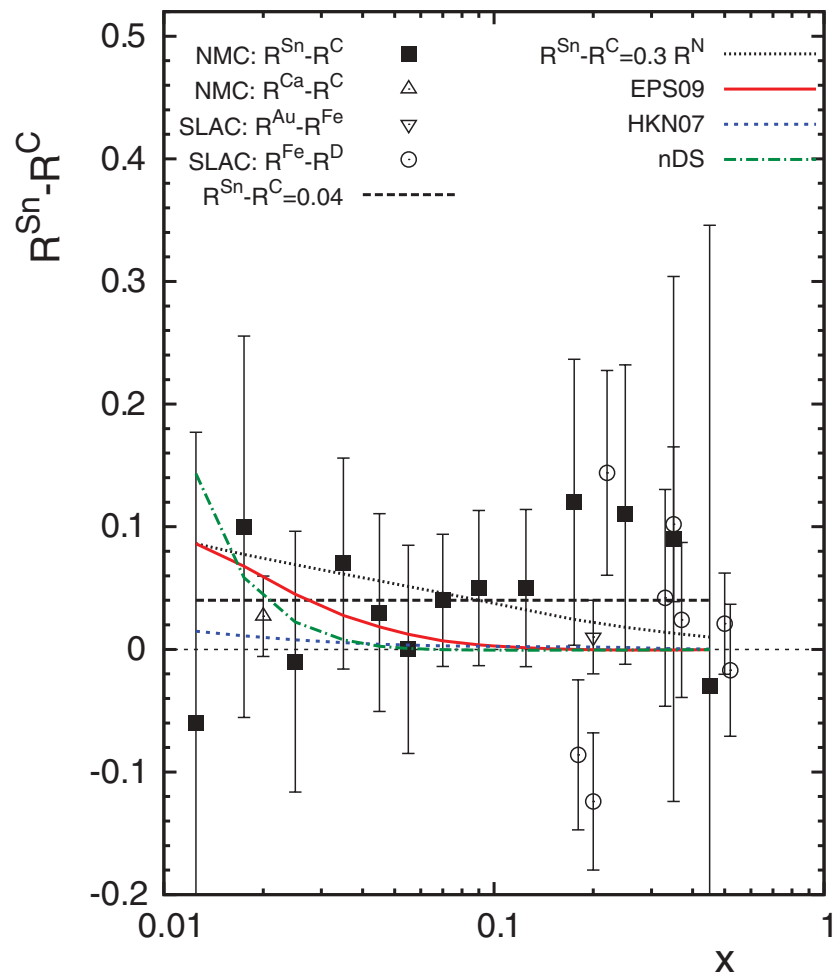
$x=0.5$ $Q^2=5$ GeV^2



Combined analysis of E140, E139, and JLab Hall C data suggests non-zero $R_A - R_D$ at $x=0.5$

Other Hints of non-zero $R_A - R_D$

NMC results for $R_{Sn} - R_C$ systematically larger than zero



$$R_{Sn} - R_C = 0.040 \pm 0.026 \text{ (stat)} \pm 0.020 \text{ (sys)}$$

→ Averaged over $x=0.0125 - 0.45$

→ $\langle Q^2 \rangle = 10 \text{ GeV}^2$

What are the consequences for A/D ratios for F_1 and F_2 if this is true?

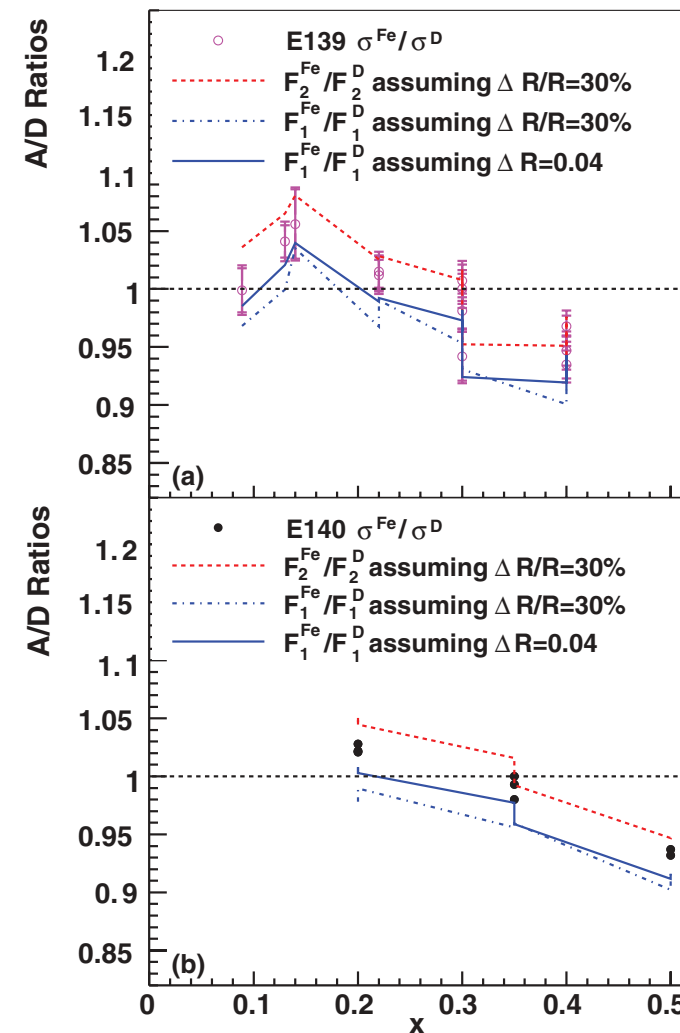
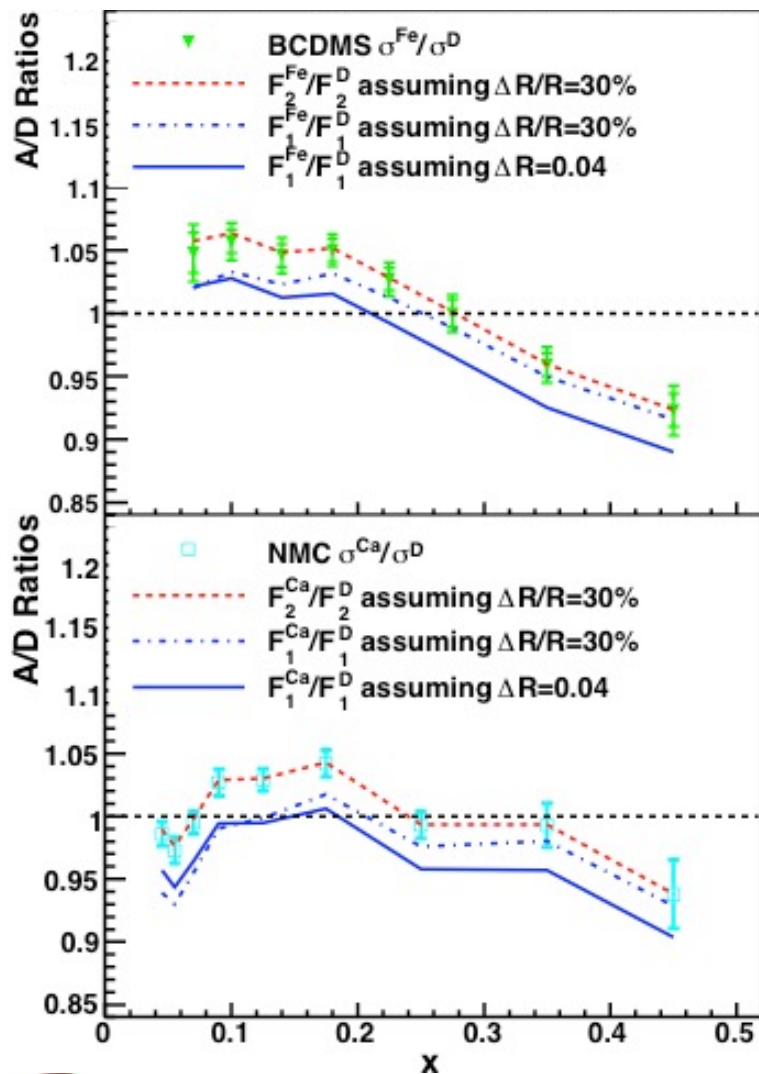
Consequences of $R_A - R_D > 0$

$$\frac{\sigma_A}{\sigma_D} = \frac{F_1^A(x)}{F_1^D(x)} \left[1 + \frac{\epsilon(R_A - R_D)}{1 + \epsilon R_D} \right]$$

F_1 ratio purely transverse

Anti-shadowing disappears for F_1 ratio, remains for F_2

Anti-shadowing from longitudinal photons?

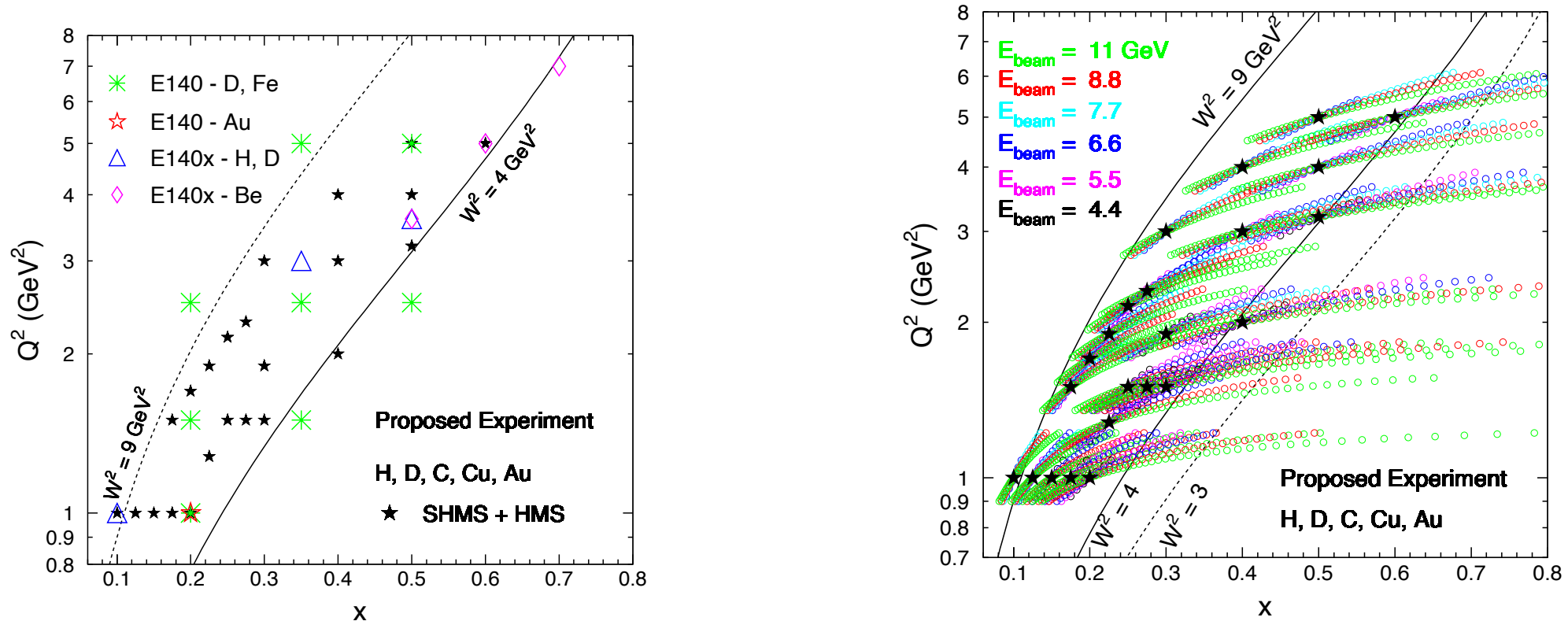


V. Guzey et al, PRC 86 045201 (2012)

E12-14-002 – Hall C @ 11 GeV

Precision Measurements and Studies of a Possible Nuclear Dependence of R

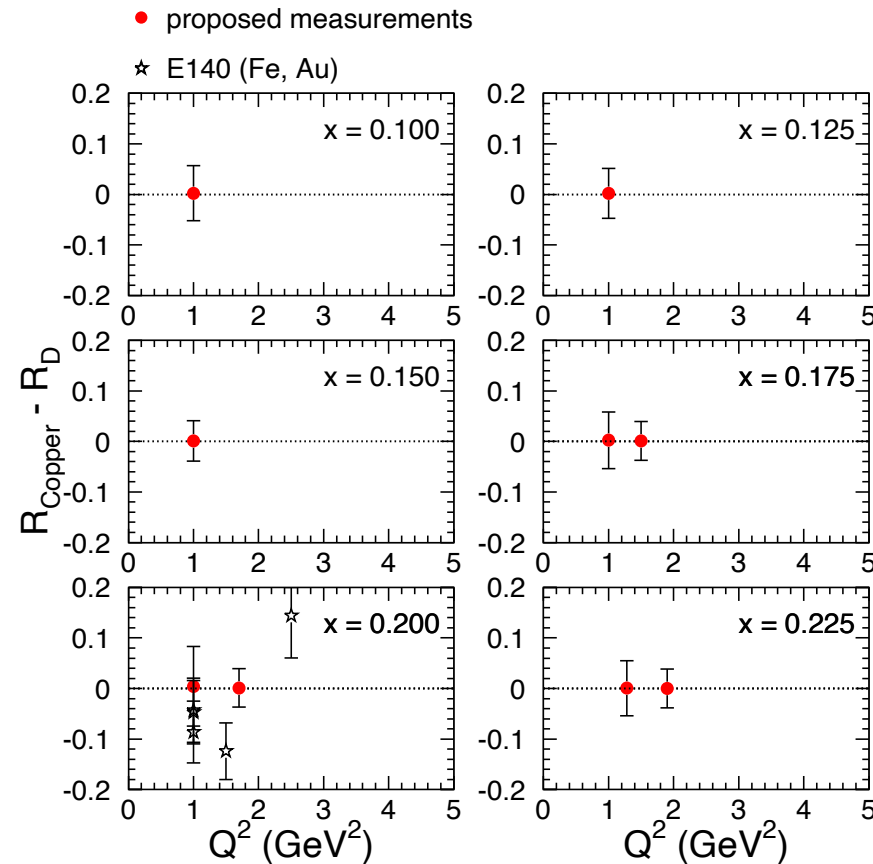
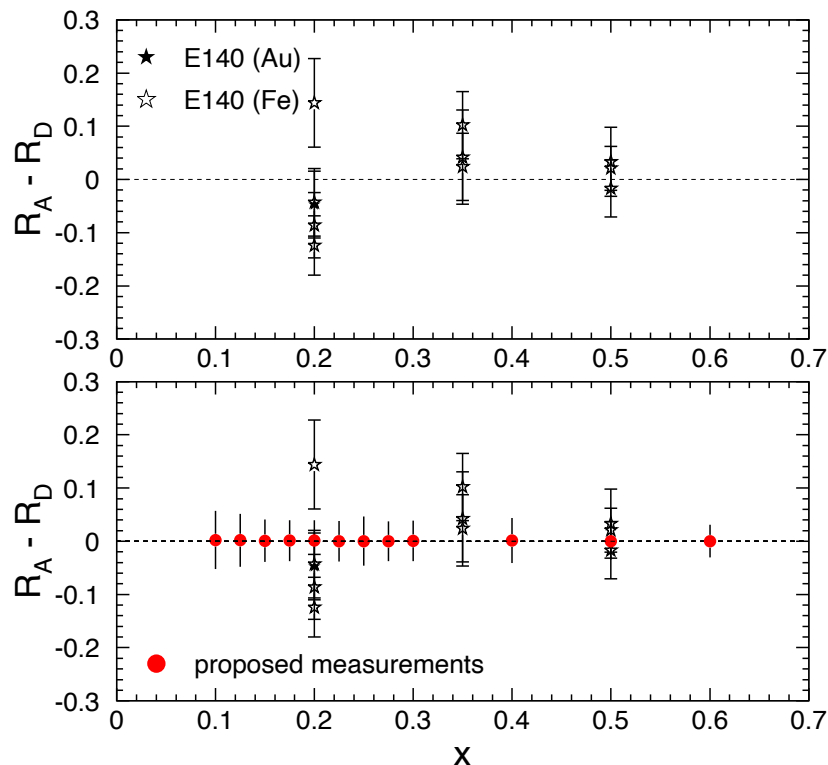
Spokespersons: S. Malace, E. Christy, DG, C. Keppel, H. Szumila-Vance



Measure $R_A - R_D$ for C, Cu, Au for $x=0.1-0.6$

→ Significant overlap with E140, but more x/Q^2 settings

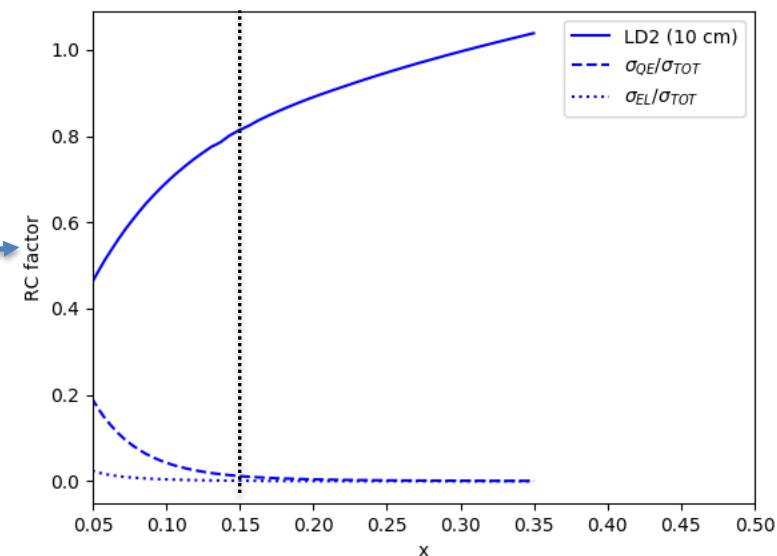
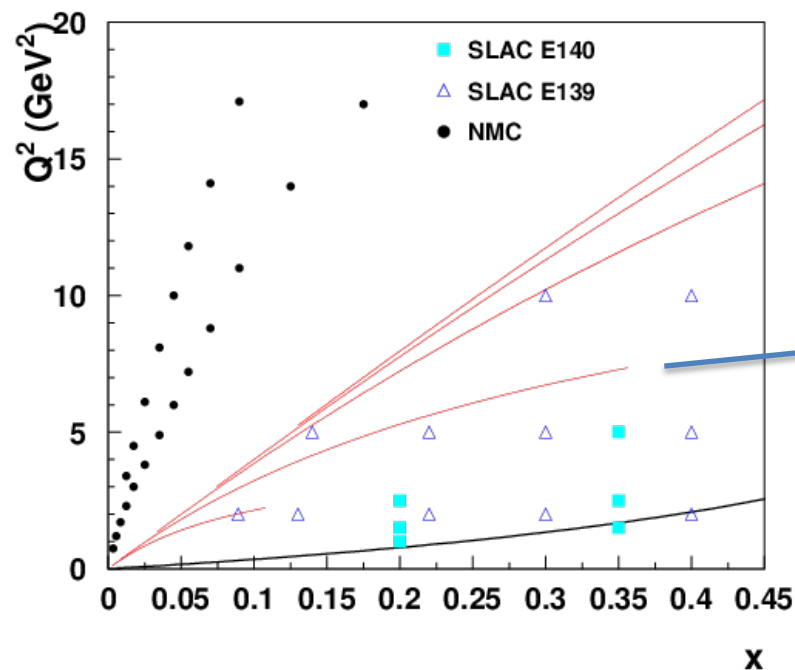
E12-14-002 – Hall C @ 11 GeV



Limitations:

1. Modest Q^2 range at low x
2. Few targets (C, Cu, Au)
3. C and Au at only a subset of settings

R_A - R_D at JLab24



$x=0.15$: At 22 GeV, radiative corrections grow quickly for angles larger than 10 degrees
 \rightarrow 22 GeV, 10 degrees $\rightarrow Q^2=4.36 \text{ GeV}^2$, $\varepsilon=0.57$
 \rightarrow 17 GeV, 23.9 degrees, $\varepsilon=0.17$
 $\rightarrow \Delta\varepsilon = 0.4 \rightarrow$ not ideal
 $\rightarrow Q^2=3 \text{ GeV}^2$ can be measured with $\Delta\varepsilon \sim 0.6$

Other possible improvements: greater variety of targets, different N/Z , etc.

SIDIS at 24 GeV

SIDIS at higher energy discussed extensively at previous workshop

→ “The Next Generation of 3D Imaging”: <https://indico.jlab.org/event/539/>

Experimental perspectives:

CLAS12: <https://indico.jlab.org/event/539/contributions/10159/>

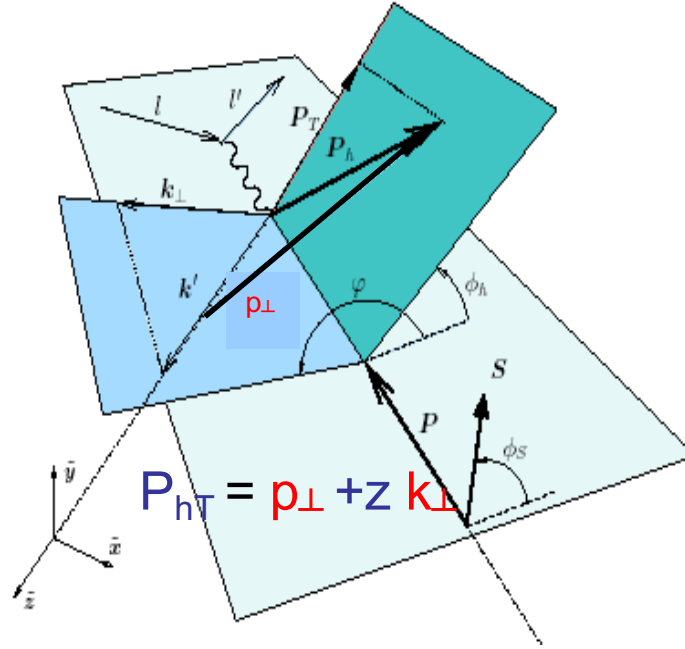
SOLID: <https://indico.jlab.org/event/539/contributions/10161/>

Hall C: <https://indico.jlab.org/event/539/contributions/10163/>

Common theme: expanded phase space coverage (larger Q^2) from mid to large x

SIDIS kinematical coverage and observables

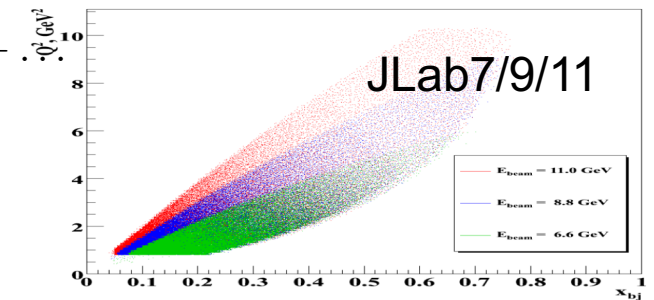
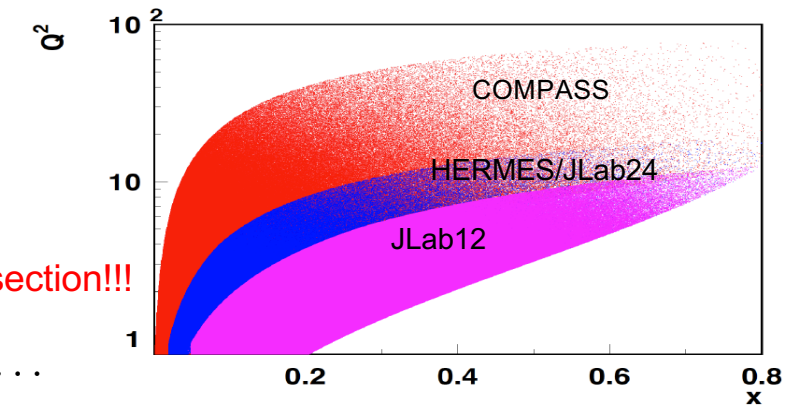
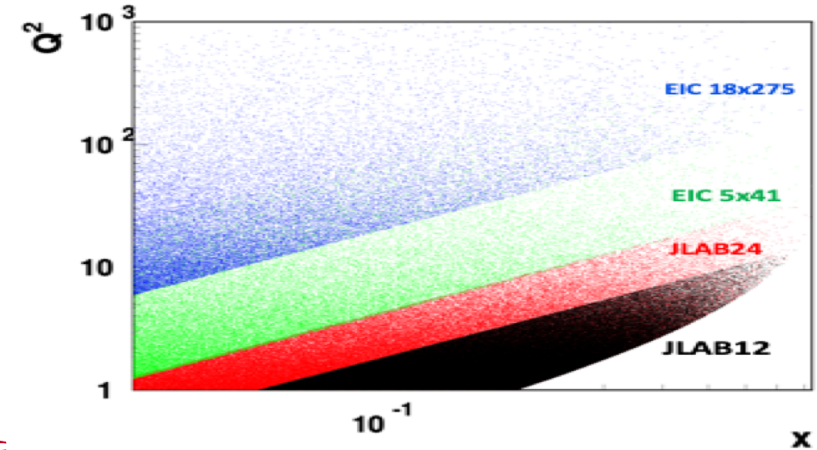
CLAS12 at
higher energy:
Harut Avakian



$$P_{hT} = p_{\perp} + z k_{\perp}$$



EIC



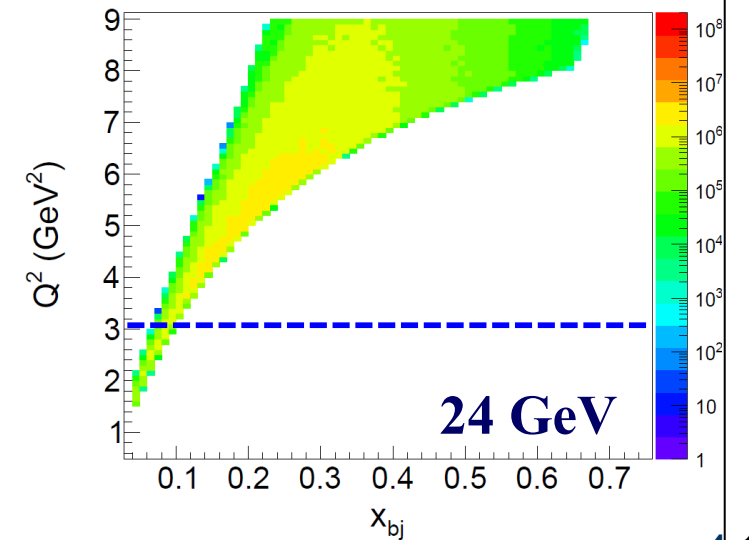
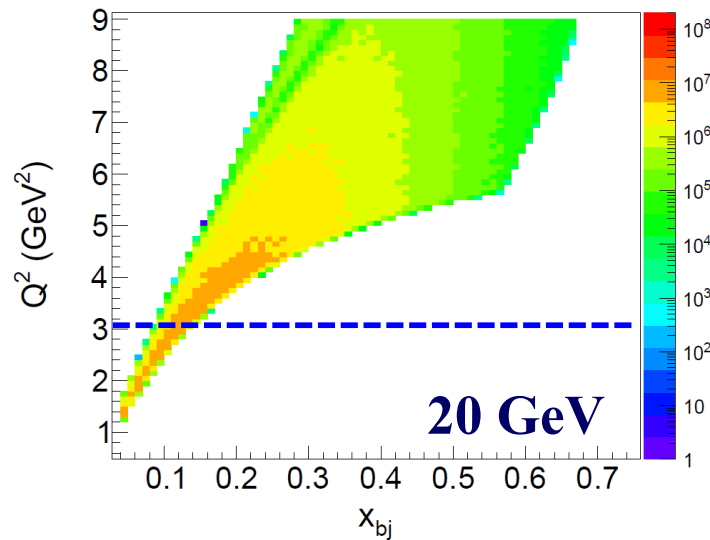
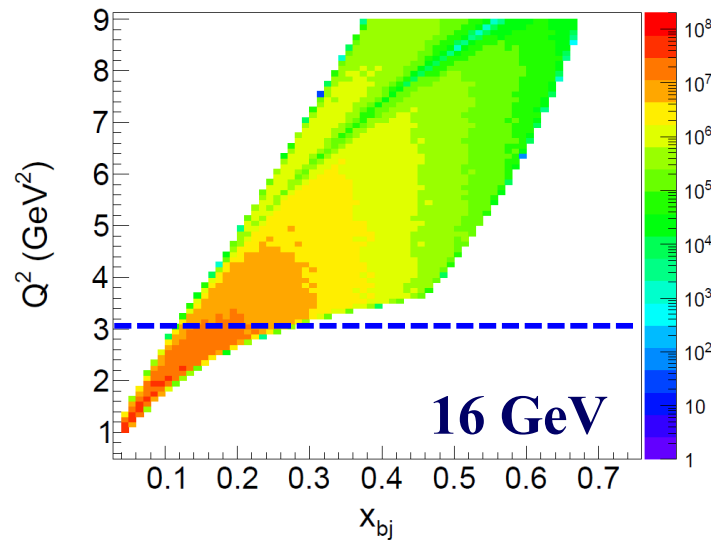
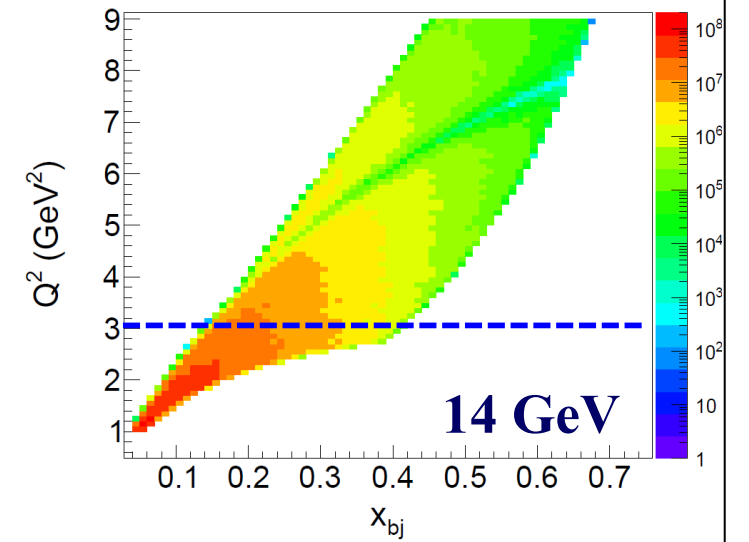
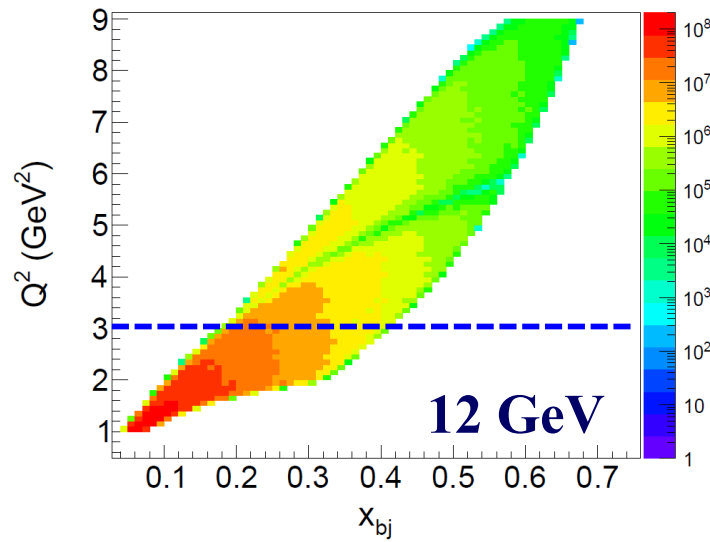
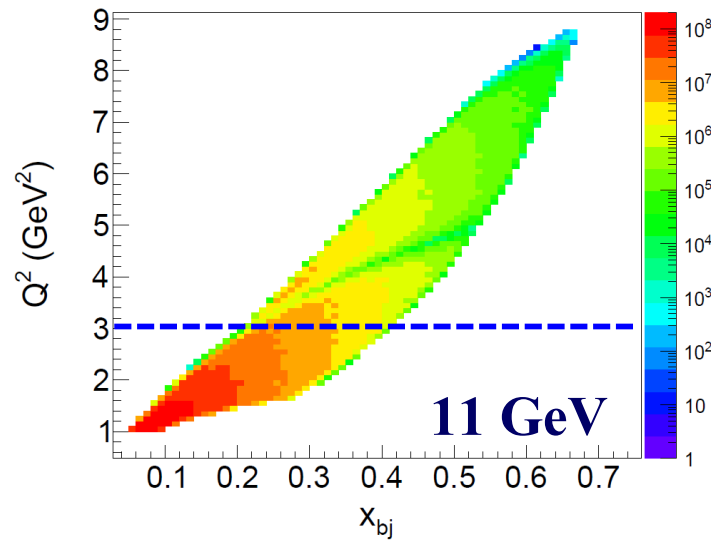
SIDIS experiments measure azimuthal dependence of the cross section!!!

$$\sigma \propto F_{UU} + P_b \sqrt{2\epsilon(1-\epsilon)} F_{LU}^{\sin \phi} \sin \phi + P_t \epsilon F_{UL}^{\sin 2\phi} \sin 2\phi + \dots$$

$$+ \epsilon F_{UU,L} + |S_{\perp}| [F_{UT}^{\sin \phi - \phi_S} \sin(\phi - \phi_S) + \sqrt{2\epsilon(1+\epsilon)} F_{UT}^{\sin \phi_S} \sin \phi_S] + \dots$$

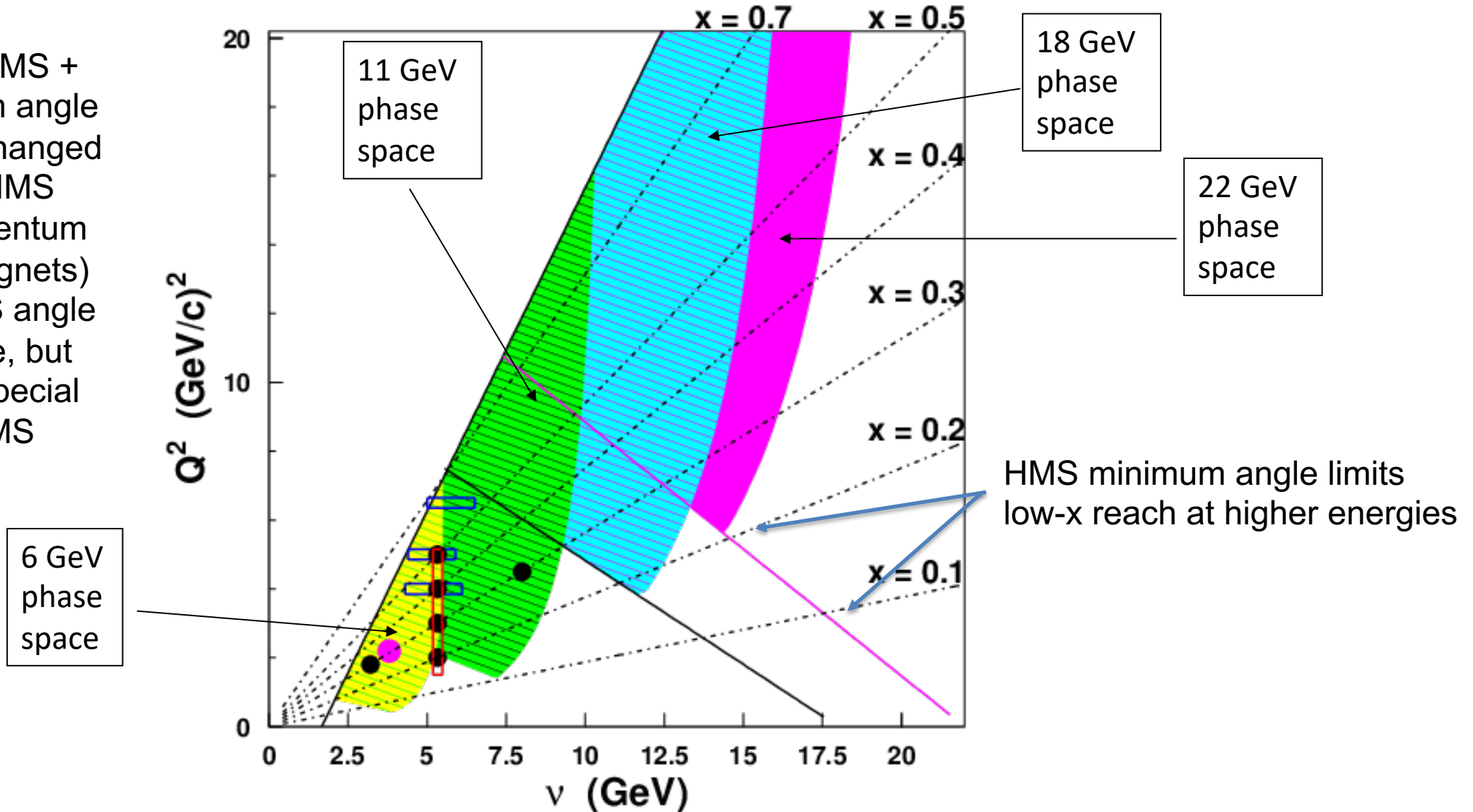
- Studies of azimuthal modulations give access to underlying 3D partonic distributions
- QCD predicts only the Q^2 -dependence of 3D PDFs

Phase - space examples obtained with the ^3He target at various beam energies: Q^2 vs. x_{bj}

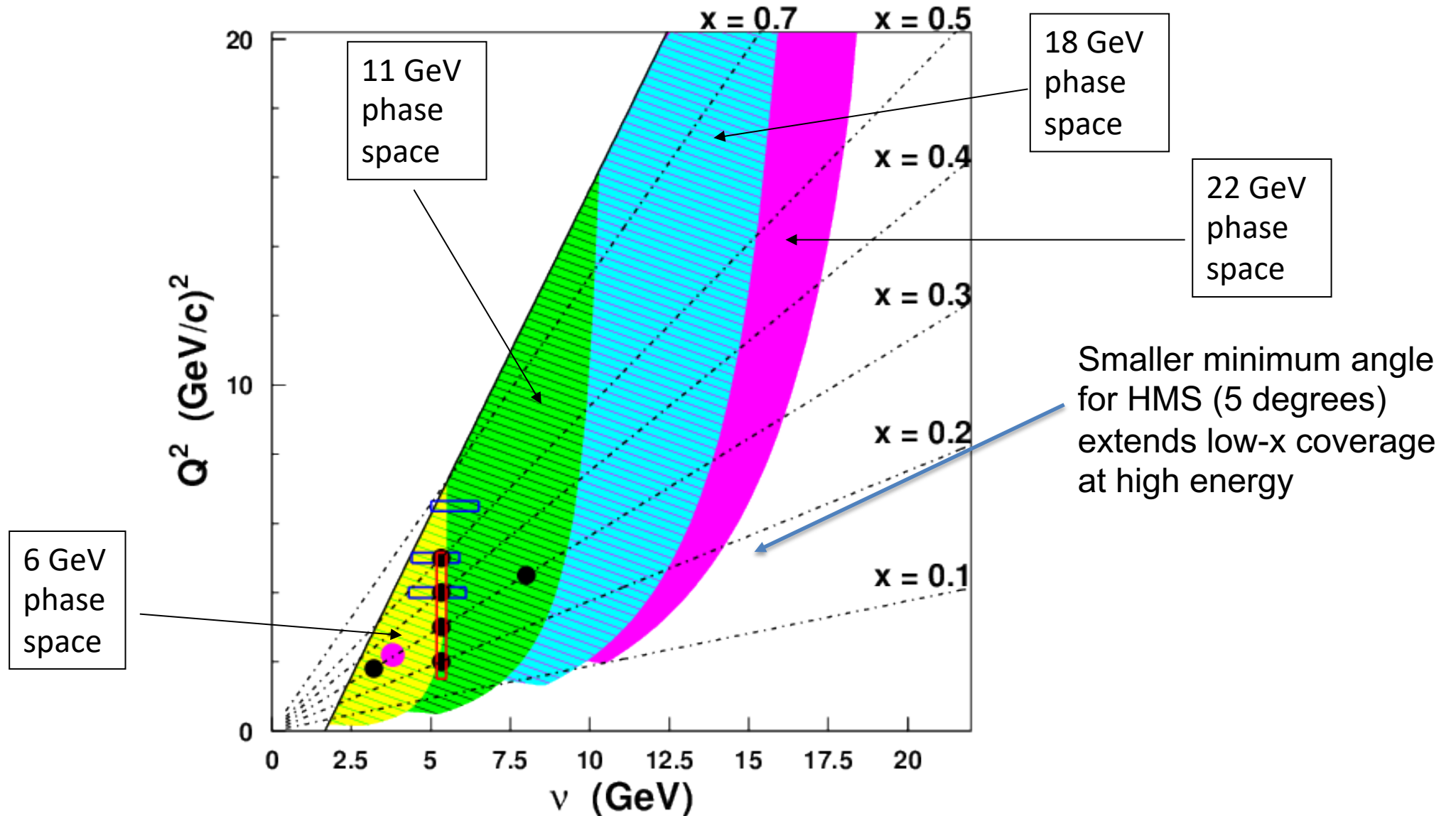


22 GeV Hall C SIDIS Phase Space – HMS+SHMS

Assumptions: HMS + SHMS minimum angle constraints unchanged
→ Increase in HMS maximum momentum (higher field magnets)
→ Smaller HMS angle may be possible, but would require special bender like SHMS



Hall C SIDIS Phase Space – Smaller HMS angle



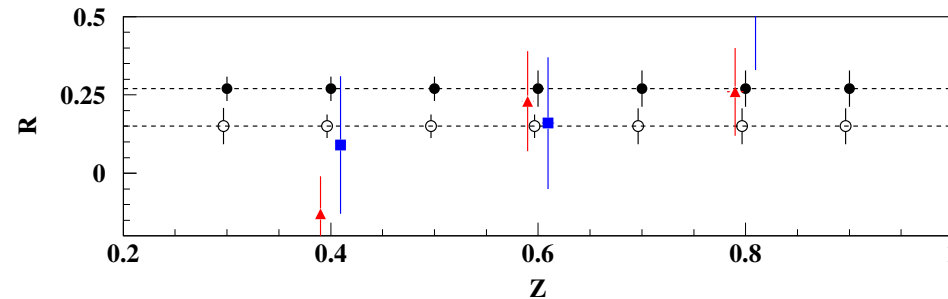
R in SIDIS

E12-06-104: Measurement of the Ratio $R=\sigma_L/\sigma_T$ in Semi-Inclusive Deep-Inelastic Scattering
Spokespersons: R. Ent, P. Bosted, E. Kinney, H. Mkrtchyan

Is R in SIDIS same as DIS?

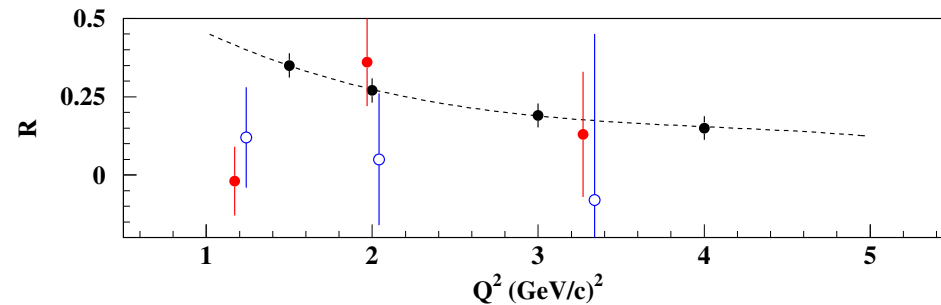
Same behavior at mid and large x?

What about nuclear dependence?

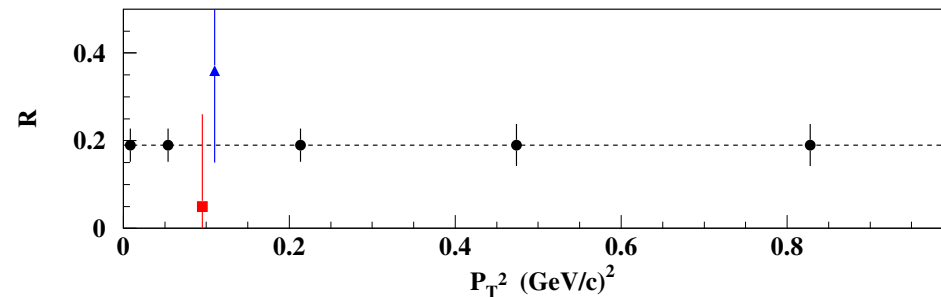


$x=0.2, Q^2=2 \text{ GeV}^2$

$x=0.4, Q^2=4 \text{ GeV}^2$



$x=0.15-0.4$



$x=0.3, Q^2=3 \text{ GeV}^2$

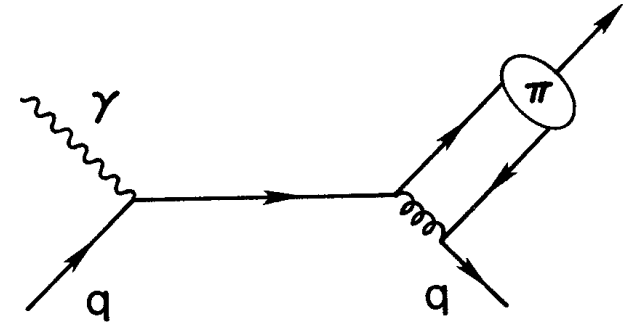
Nuclear Pions from SIDIS

Sensitivity to nuclear pions using SIDIS in anti-shadowing region?

E. Berger, ANL-HEP-CP-87-45, NPAS Workshop on Electronuclear Physics with Internal Targets

Pion contribution to SIDIS cross section at large z

$$\frac{d\sigma(x, Q^2, z)}{dx dy dz} \propto \frac{1}{2} [1 + (1 - y)^2] (1 - z)^2 + \frac{4}{9} (1 - y) F_\pi(Q^2)$$



Only contributes to “ H_2 ” \rightarrow from long. photons. ***L-T separation needed***

At $x=0.15$, $Q^2=3 \text{ GeV}^2$ JLab higher energy would allow access up to $z=0.8$ with $W'>2 \text{ GeV}$

Measure with light nucleus like ^4He where hadron attenuation effects are small

Would require higher beam energy ***and*** smaller angle capability for HMS (~ 6 degrees)

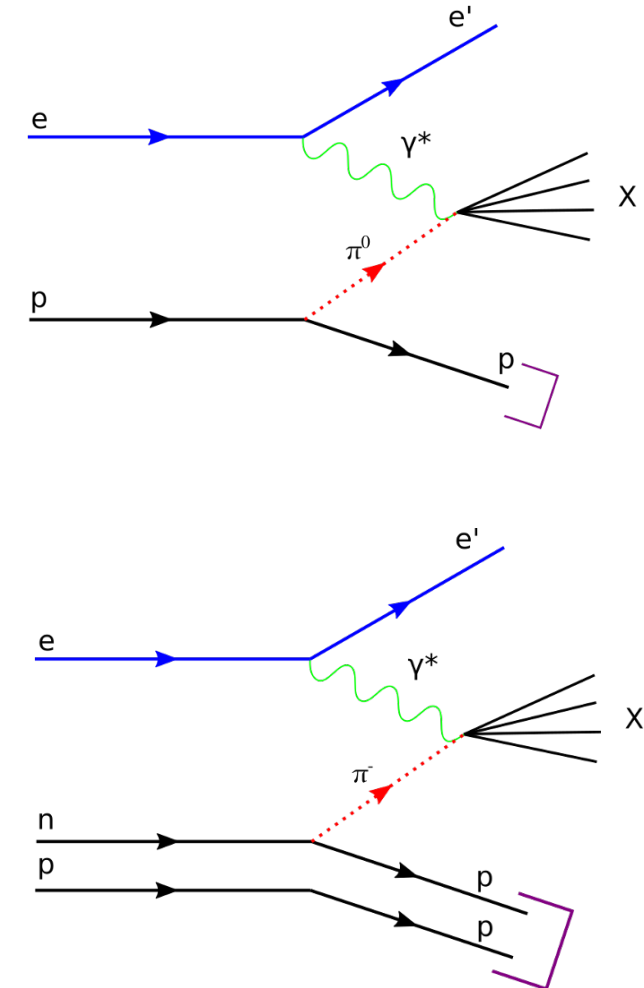
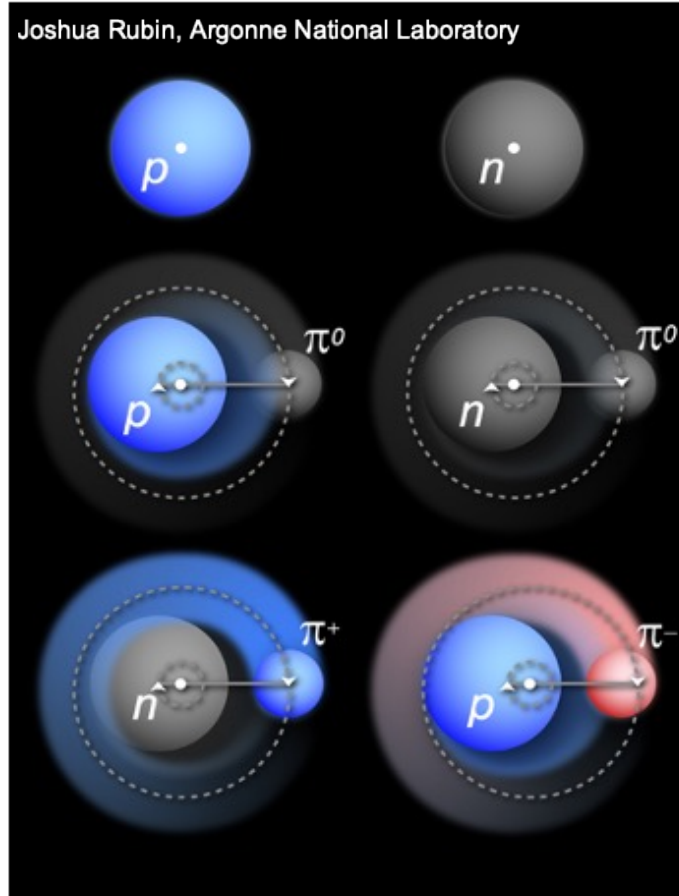
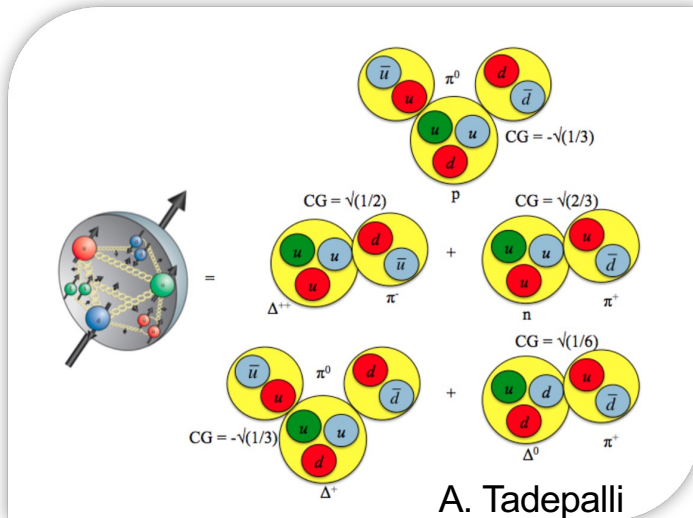
The TDIS program at Lab

Accessing the mesonic content of nucleons using the Sullivan process

Meson cloud model

$$|p\rangle \rightarrow \sqrt{1-a-b}|p_0\rangle + \sqrt{a}\left(-\sqrt{\frac{1}{3}}|p_0\pi^0\rangle + \sqrt{\frac{2}{3}}|n_0\pi^+\rangle\right) + \sqrt{b}\left(\sqrt{\frac{1}{2}}|\Delta_0^+\pi^-\rangle - \sqrt{\frac{1}{3}}|\Delta_0^+\pi^0\rangle + \sqrt{\frac{1}{6}}|\Delta_0^0\pi^+\rangle\right)$$

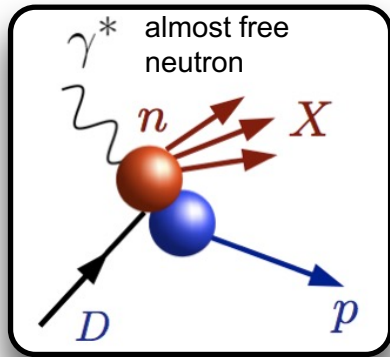
proton as a linear combination of a “bare” proton plus pion-nucleon and pion-delta states



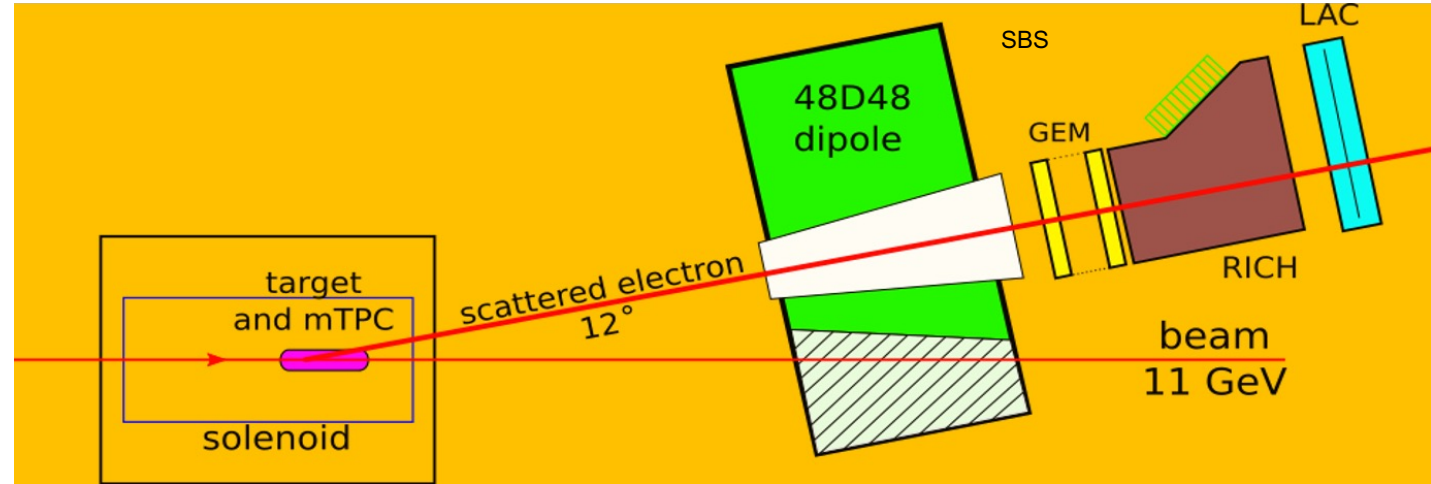
The TDIS program at Lab

Uses the spectator tagging technique pioneered at JLab

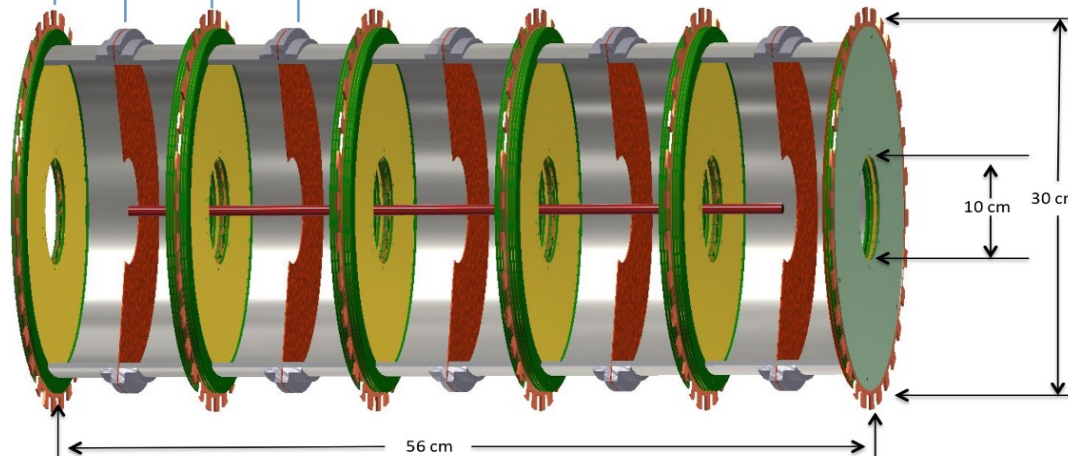
Spectator tagging:
a well established technique (BoNuS expt.)



Deuteron Spectator proton
(backward going slow proton)

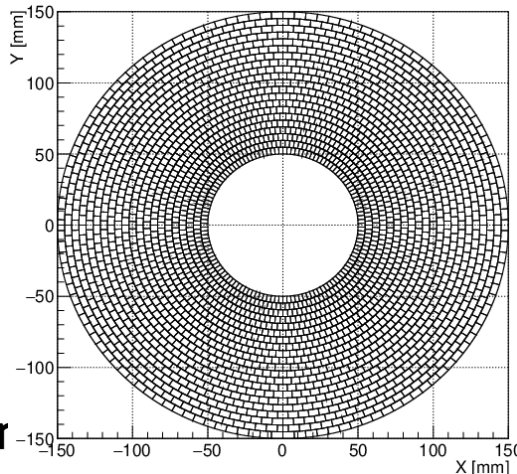


Modules #1 #2 #3 mTPC recoil tagger conceptual design

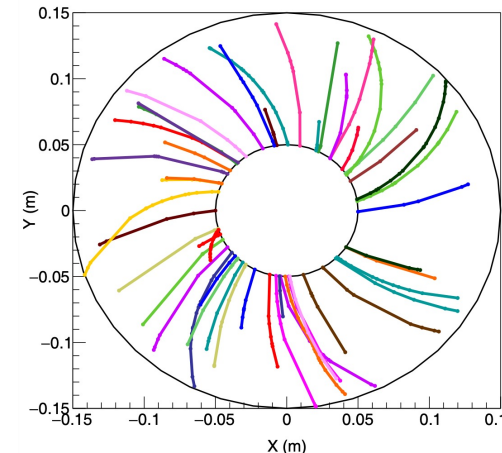


Nilanga Liyanage

Readout pads of mTPC



simulated mTPC tracks



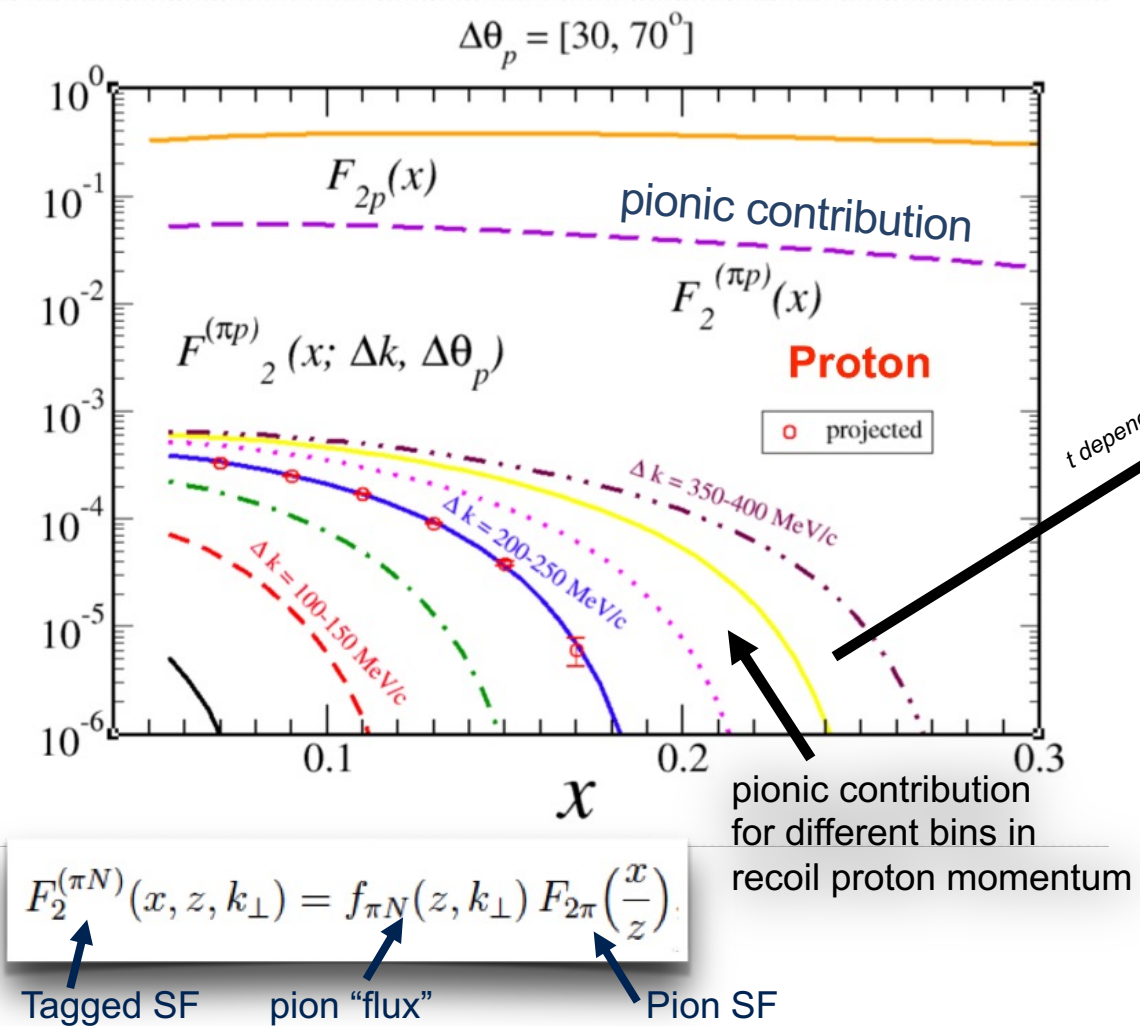
DIS event – reconstruct x , Q^2 , W^2 , also M_X of recoiling hadronic system

$$R^T = \frac{d^4\sigma(ep \rightarrow e' X p')}{dx dQ^2 dz dt} / \frac{d^2\sigma(ep \rightarrow e' X)}{dx dQ^2} \Delta z \Delta t \sim \frac{F_2^T(x, Q^2, z, t)}{F_2^p(x, Q^2)} \Delta z \Delta t.$$

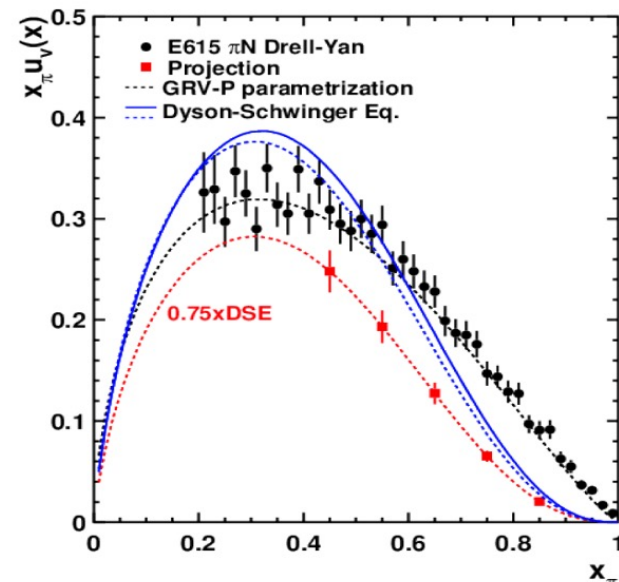
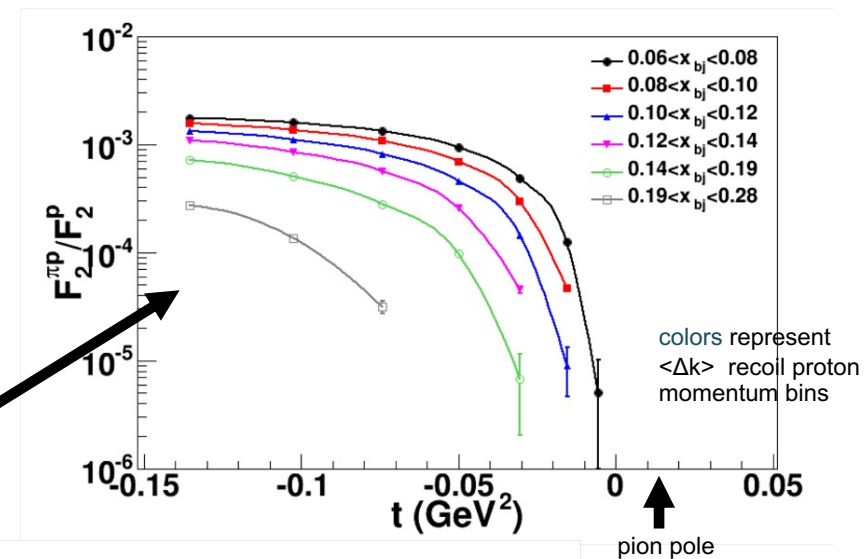
The TDIS program at Lab

Extract the pion structure function (projected results)

T. J. Hobbs, Few-body Systems, 56, 363 (2015)



t dependence

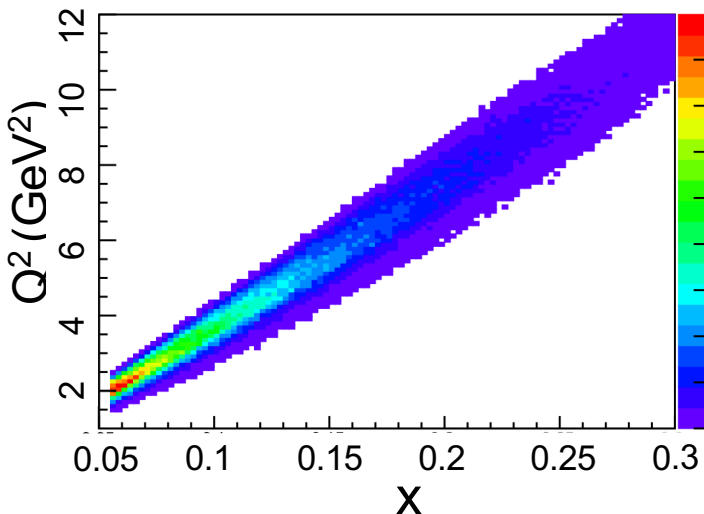


projected pion structure function with "pion flux" normalized to D-Y data at $x_\pi = 0.45$

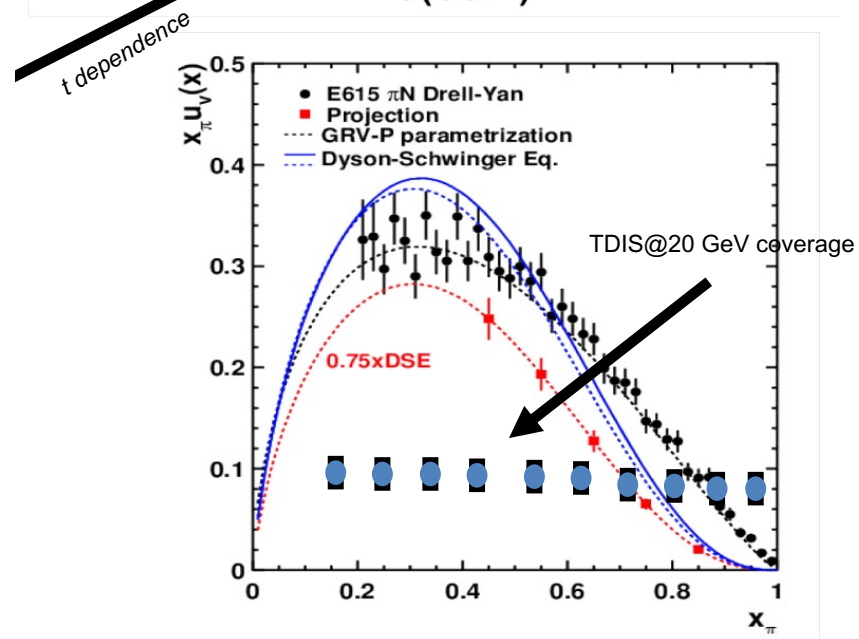
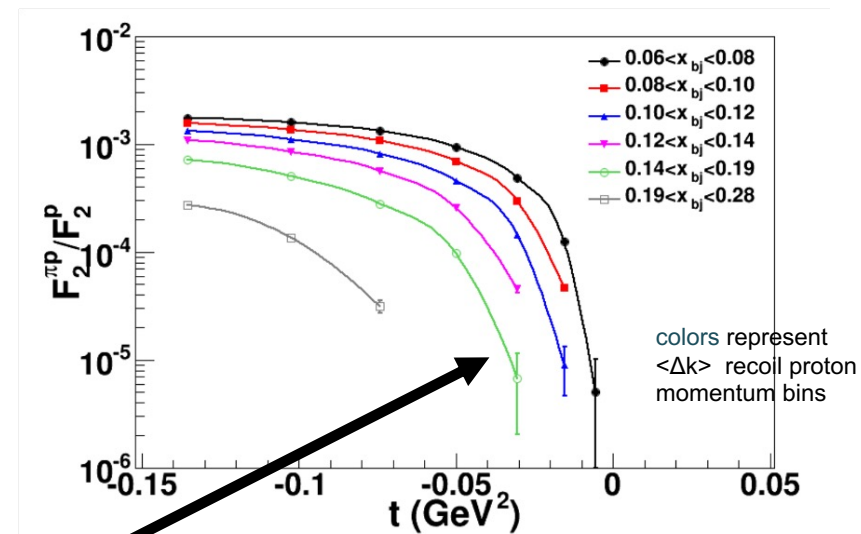
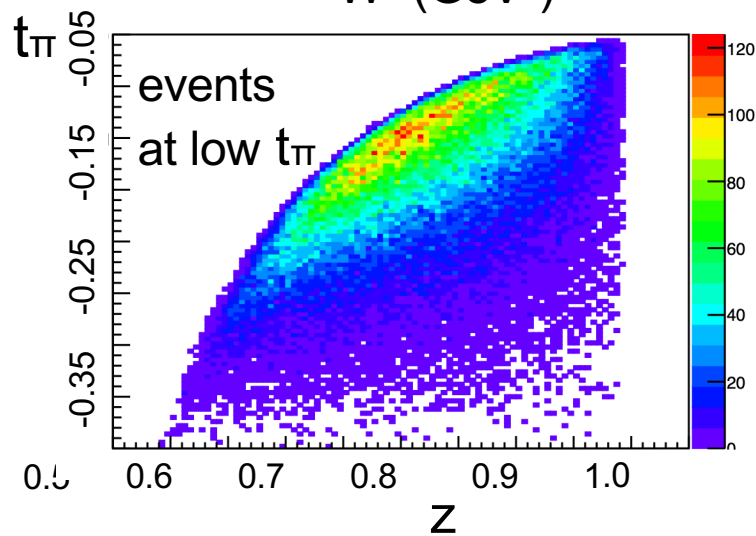
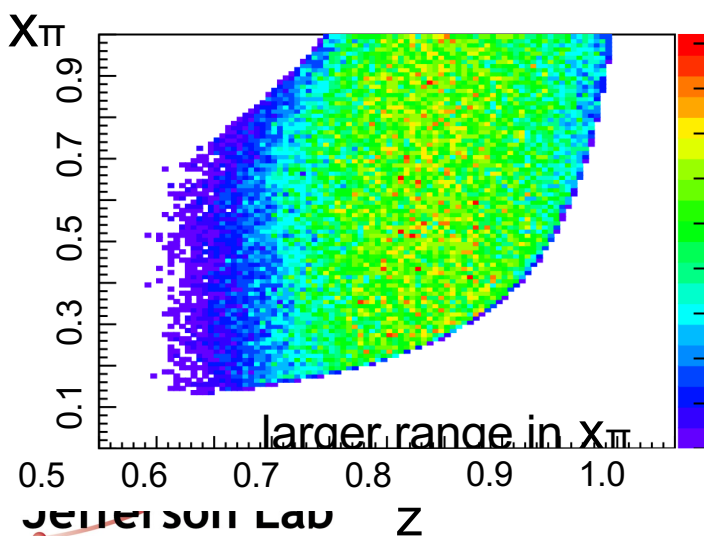
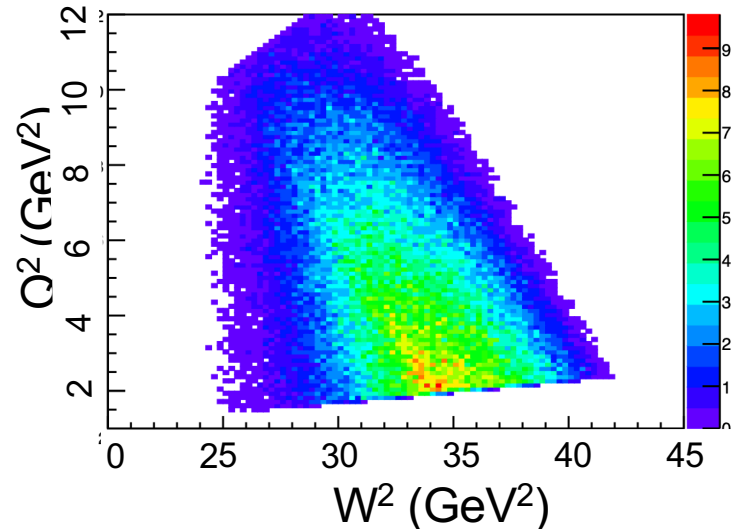
TDIS @ 20 GeV JLab

Extended kinematic coverage, better constraints on t dependence

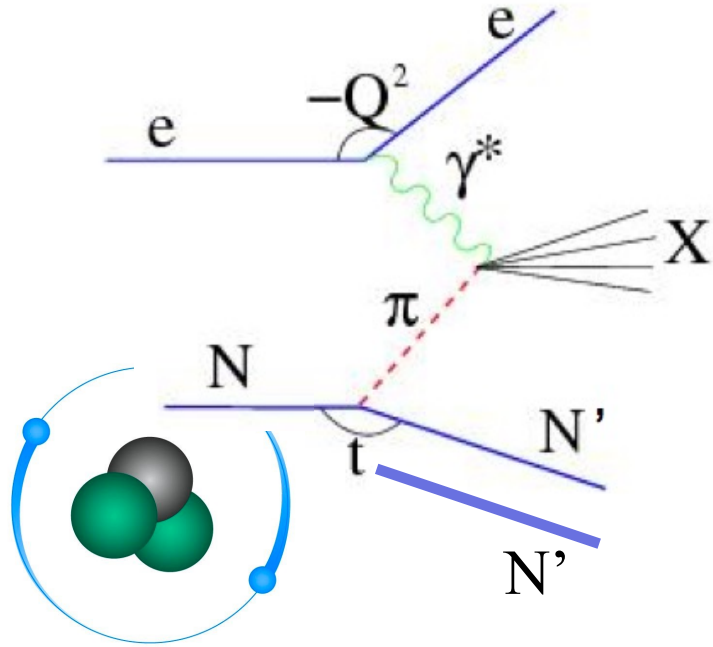
coverage of low x
 $0.05 < x < 0.2$



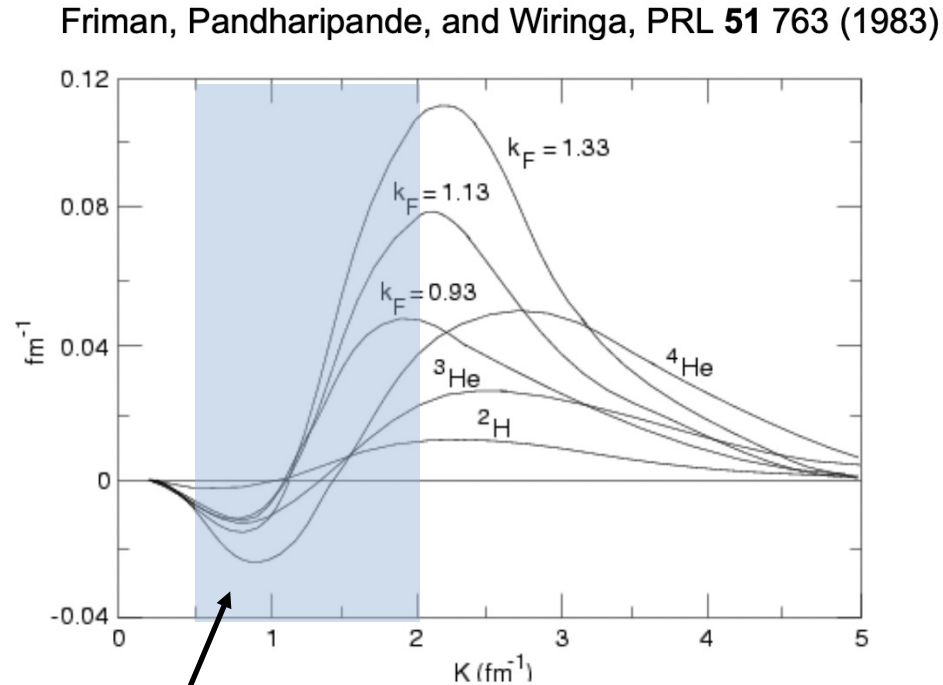
$\langle Q^2 \rangle$ and $\langle W^2 \rangle$ significantly
larger than TDIS @11 GeV



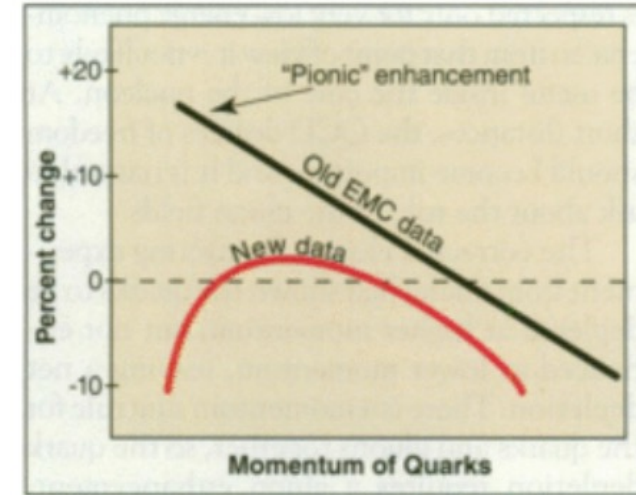
TDIS and Nuclear Pions



Use TDIS setup to measure the pionic content of ^3He and ^4He



Pion excess $k^2 \langle \delta n_\pi(k) \rangle / 2\pi A$
as a function of virtual pion momentum



Bertsch, Frankfurt & Strikman,
Science 259, 773 (1993)

TDIS Recoil proton momentum: $P_p = 0.1 - 0.4 \text{ GeV}/c$ & $P_p = -P_\pi$ look for excess pions relative to ^2H

Also extract pion structure function from ^2H , ^3He and ^4He allowing a pionic EMC effect measurement.

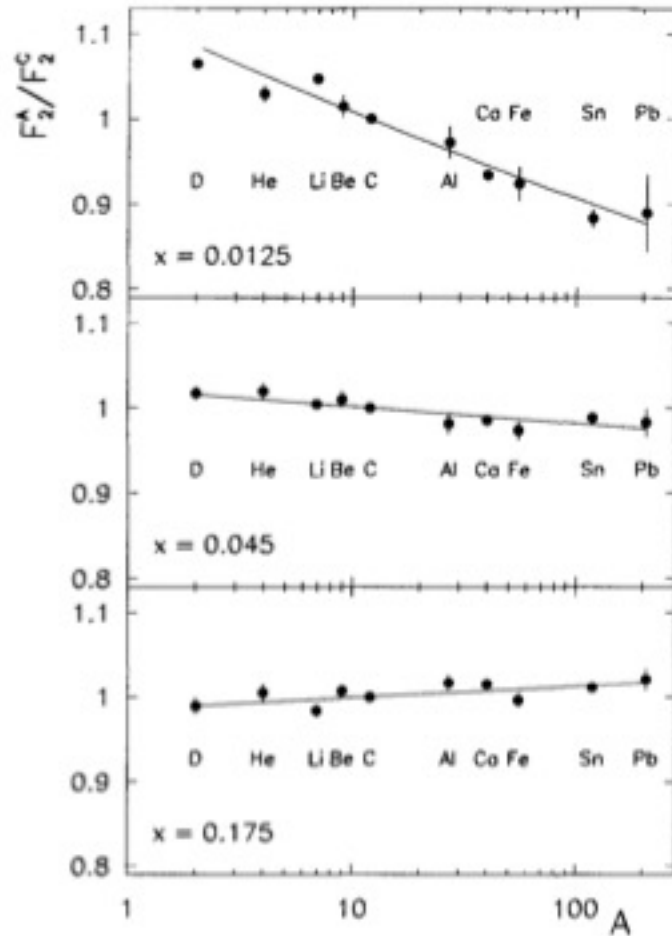
JL@ 20 GeV will allow high W^2 coverage of $0.05 < x < 0.3$

Summary

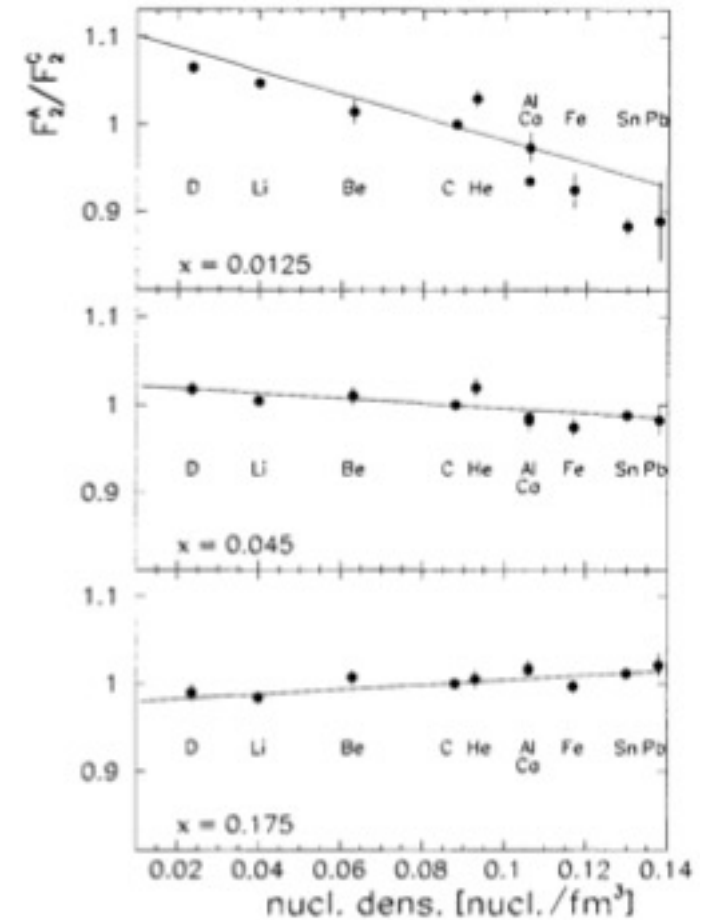
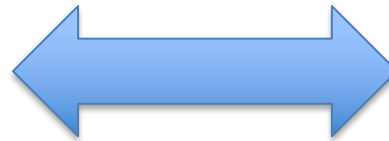
- Measurement of $R=\sigma_L/\sigma_T$ in anti-shadowing region important to clarify whether anti-shadowing is present on both σ_L and σ_T
 - Approved Hall C E12-14-002 will measure R_A - R_D for C, Cu, and Au
 - Larger Q^2 range, lower x accessible w/higher energy
- SIDIS
 - Larger Q^2 range at low and high x , large W' at large z
 - Hall C cannot access anti-shadowing region above $E=13$ - 14 GeV
 - L-T separations \rightarrow access to nuclear pions?
- TDIS
 - Nuclear pions using tagged DIS

EXTRA

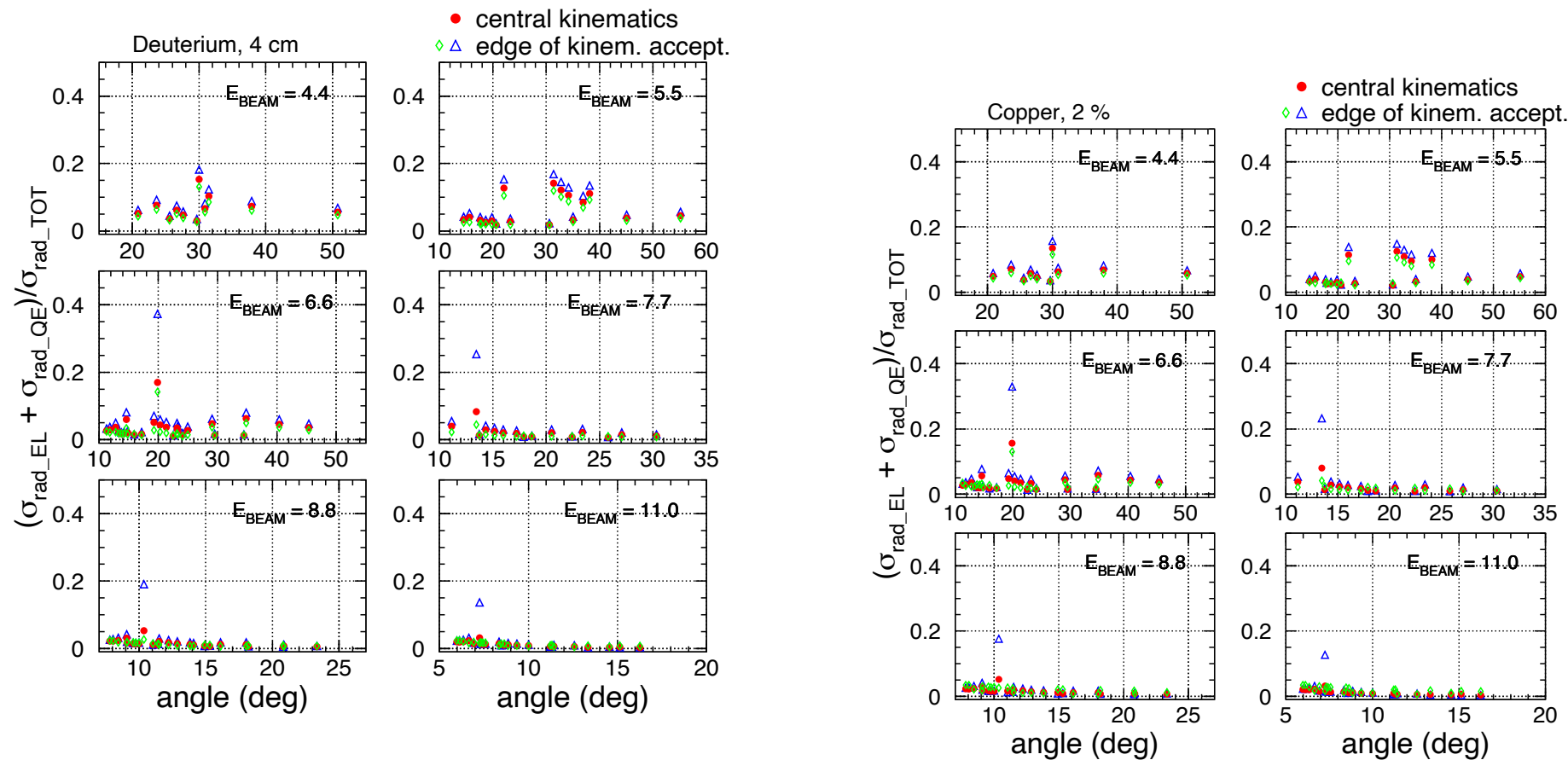
A-Dependence from NMC



Normalization
uncertainties = 0.2-
0.4%

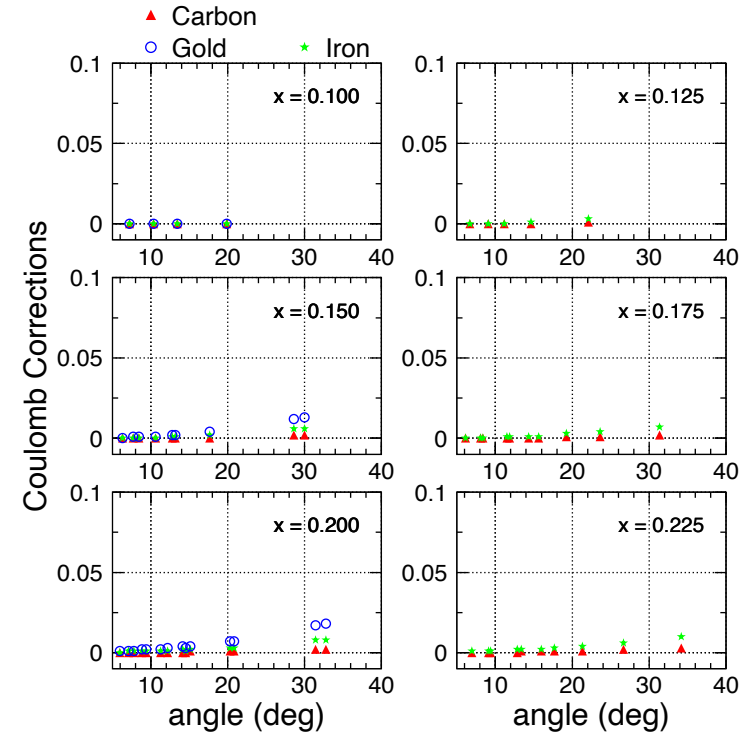
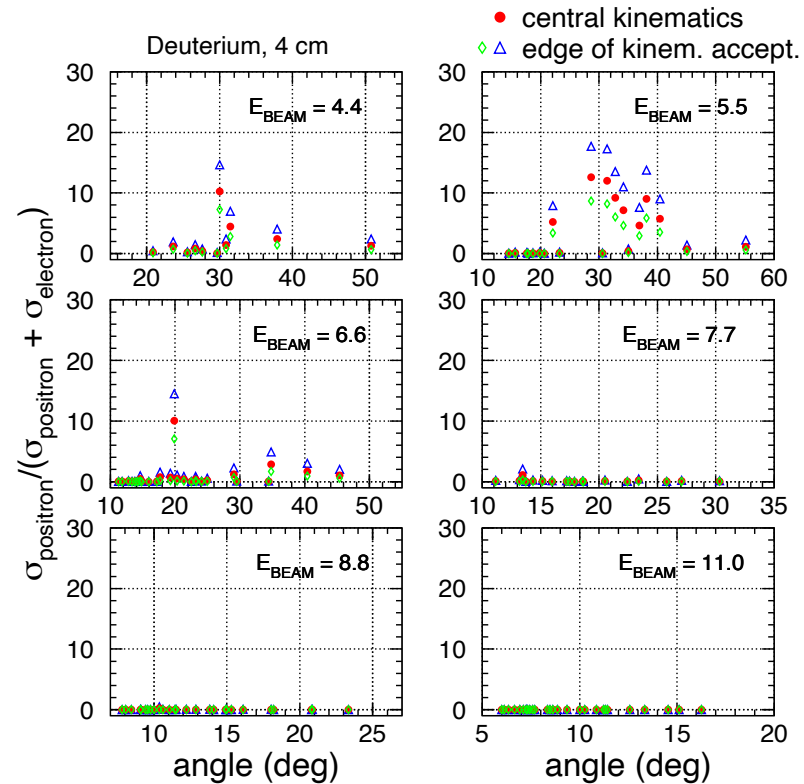


E12-14-002: Radiative Corrections



Radiated QE and elastic fraction of total radiated cross section for E12-14-002

E12-14-002: CSBG and Coulomb Corrections



Charge symmetric backgrounds and Coulomb corrections for E12-14-002