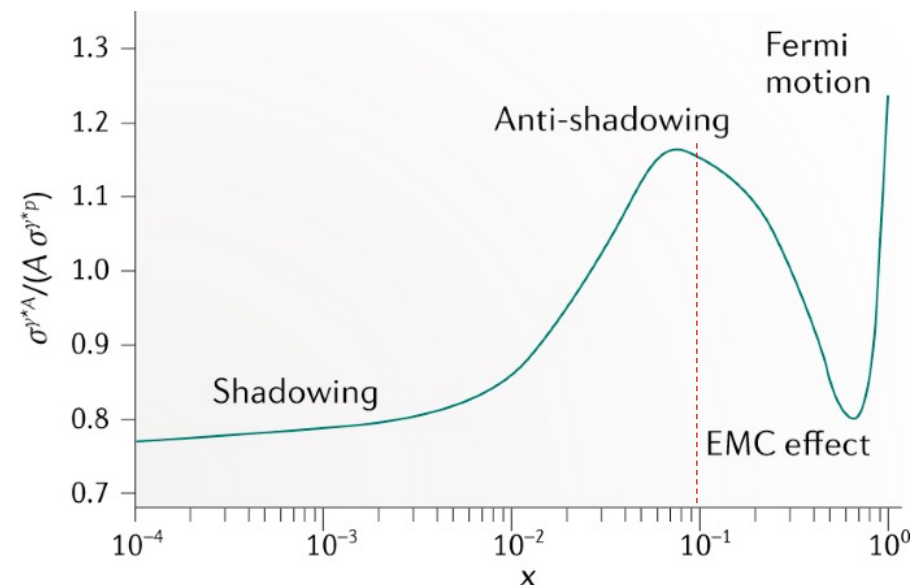


Theory Overview

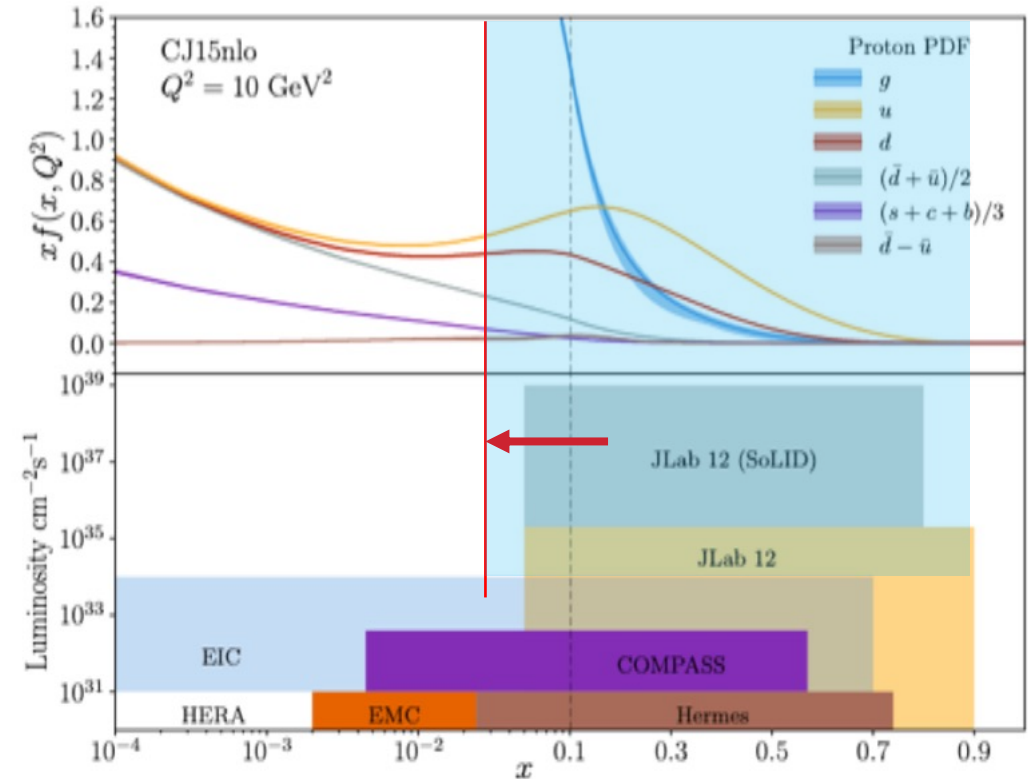
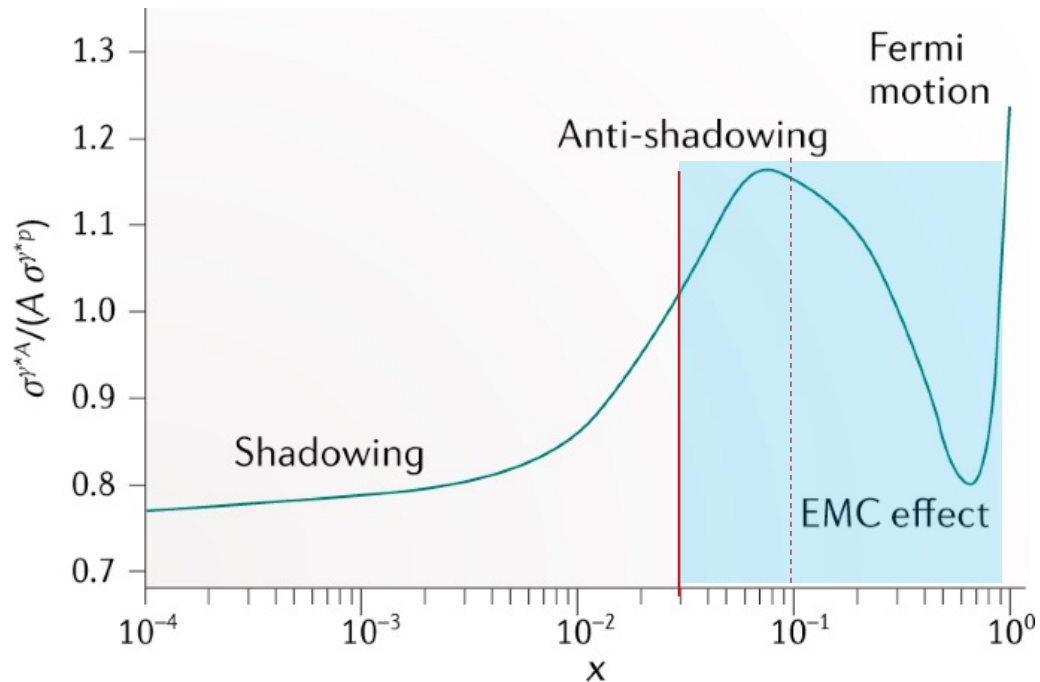
- What is so special at $x = 0.1$?
- Do we understand the physics behind the anti-shadowing?
- Transition between the valence and sea?
- Emergence of hadrons?
- ...

Jianwei Qiu
Theory Center, Jefferson Lab
July 22, 2022



CEBAF at a higher energy

□ Kinematic reach along with a high luminosity:

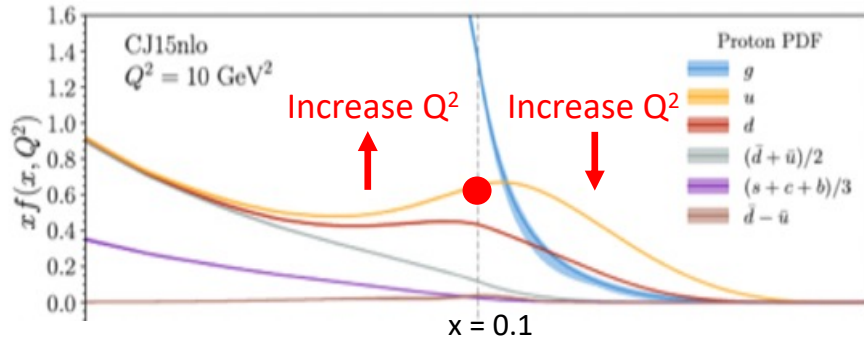


This is a most dynamical rich regime of partonic structure in nucleon and nuclei

- Emergence of the gluon dominance
- Interface between the sea and the valence, role of strange sea, ...
- Nuclear structure at the parton level, ...
- ...

What is so special at $x \sim 0.1$?

Scaling and scaling violation:



Hard probe and its probing distance:

- Hard probe – process with a large momentum transfer

$$q^\mu \quad \text{with} \quad Q \equiv \sqrt{|q^2|} \gg \Lambda_{\text{QCD}}$$

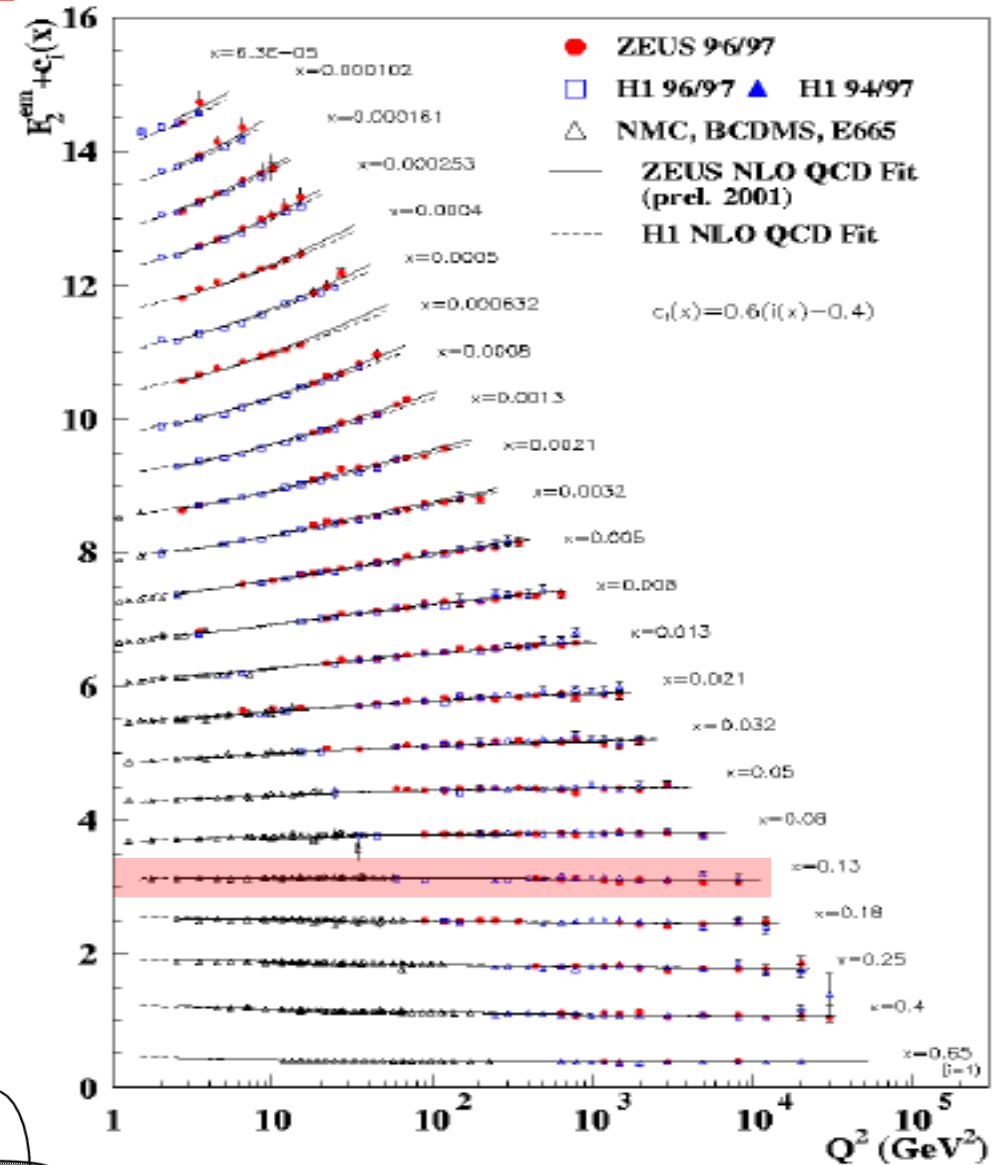
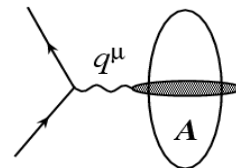
- Hard probe is much smaller than a typical hadron at rest

$$\frac{1}{Q} \ll 2R \sim \text{fm}$$

- But, it might be larger than a Lorentz contracted hadron

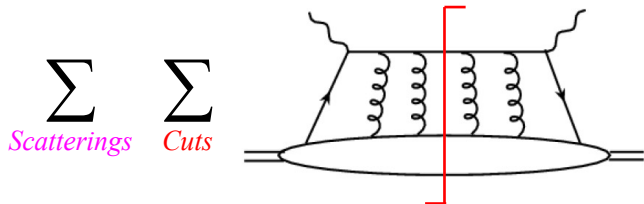
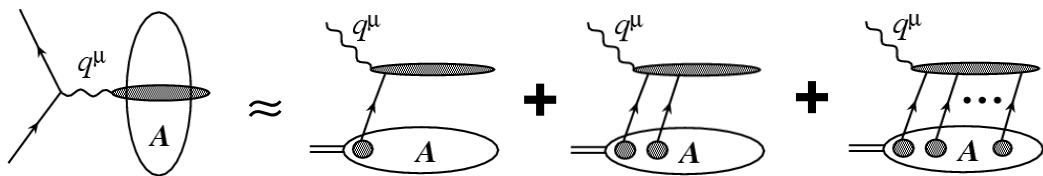
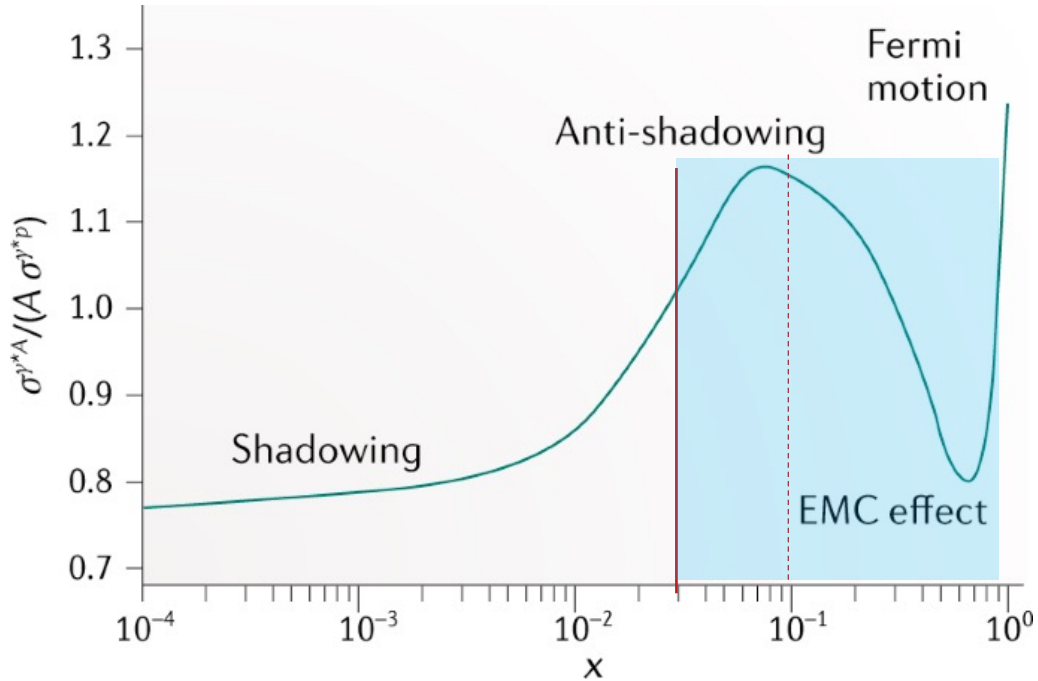
$$\frac{1}{Q} \sim \frac{1}{xp} \gg 2R \left(\frac{m}{p} \right) \quad \text{or equivalently} \quad x \ll x_c \equiv \frac{1}{2mR} \sim 0.1$$

If x is small enough, the probe could cover several nucleons in a **Lorentz contracted** large nucleus!



What is so special at $x \sim 0.1$?

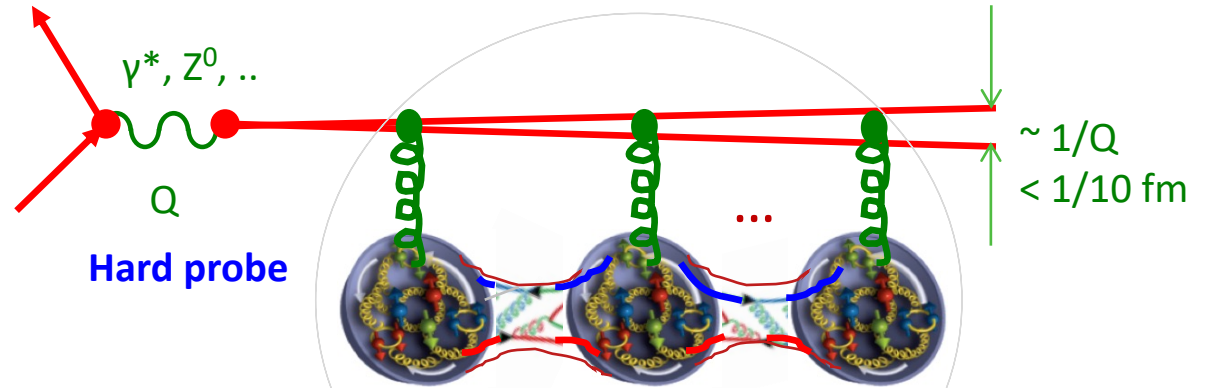
Physics at $x < 0.1$:



Coherent multiple scattering:

Qiu and Vitev, PRL (2004)

$$\sigma^{\gamma^*A} \propto \langle P_A, A | \mathcal{O}_A(\{y_A\}, \{y'_A\}) | P_A, A \rangle$$



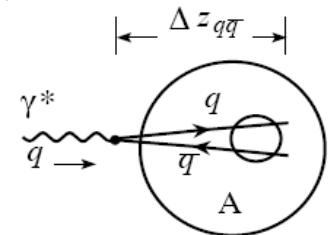
Coherent length is frame independent:

- Lifetime of the $q\bar{q}$ state:

$$\Delta E_{q\bar{q}} \sim \nu - E_{q\bar{q}} \sim \frac{Q^2}{2\nu} \left[1 + \mathcal{O}\left(\frac{m_{q\bar{q}}^2}{Q^2}\right) \right]$$

$$\Delta z_{q\bar{q}} \sim \frac{1}{\Delta E_{q\bar{q}}} \sim \frac{2\nu}{Q^2} = \frac{1}{m x_B}$$

- $\Delta z_{q\bar{q}} \gg 2$ fm, inter-nuclear distance, if $x_B \ll 0.1$



If $x_B \ll 0.1$, the probe (the $q\bar{q}$ state of the virtual photon) can interact with whole hadron/nucleus coherently

What is so special at $x \sim 0.1$?

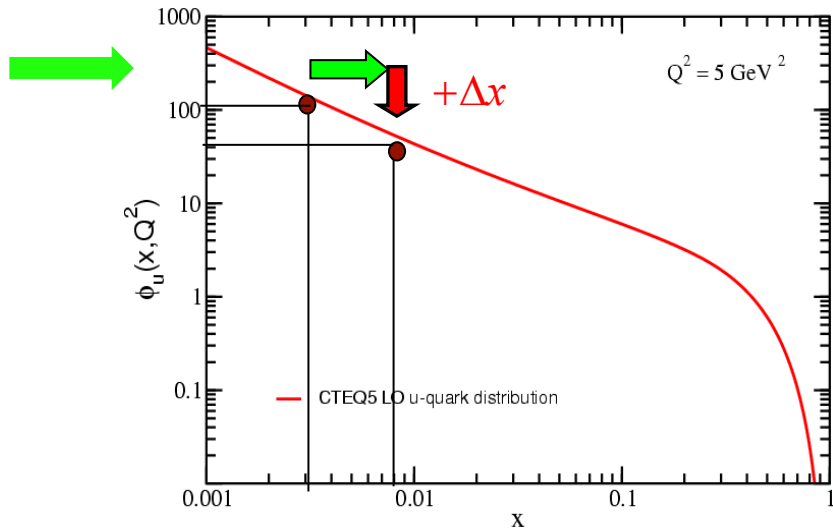
Physics at $x < 0.1$:

$$F_T(x_B, Q^2) = \sum_{n=0}^N \frac{1}{n!} \left[\frac{\xi^2}{Q^2} (A^{1/3} - 1) \right]^n x_B^n \frac{d^n}{dx_B^n} F_T^{(0)}(x_B, Q^2)$$

$$\approx F_T^{(0)}(x_B(1 + \Delta), Q^2)$$

$$\Delta \equiv \frac{\xi^2}{Q^2} (A^{1/3} - 1)$$

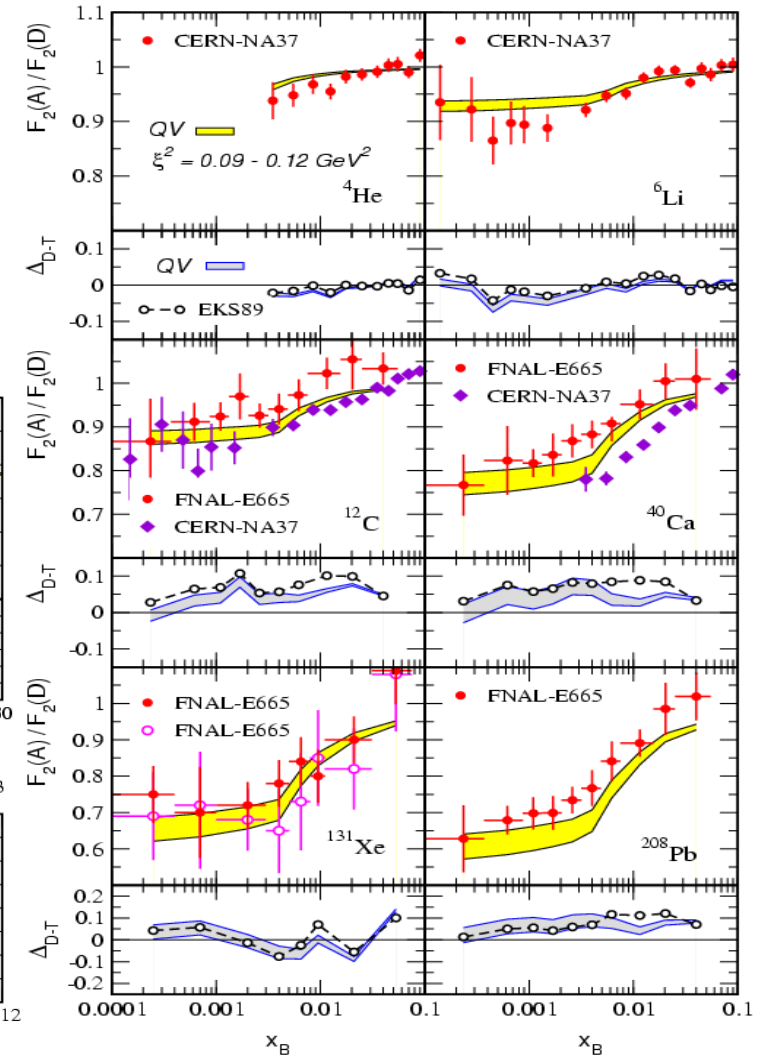
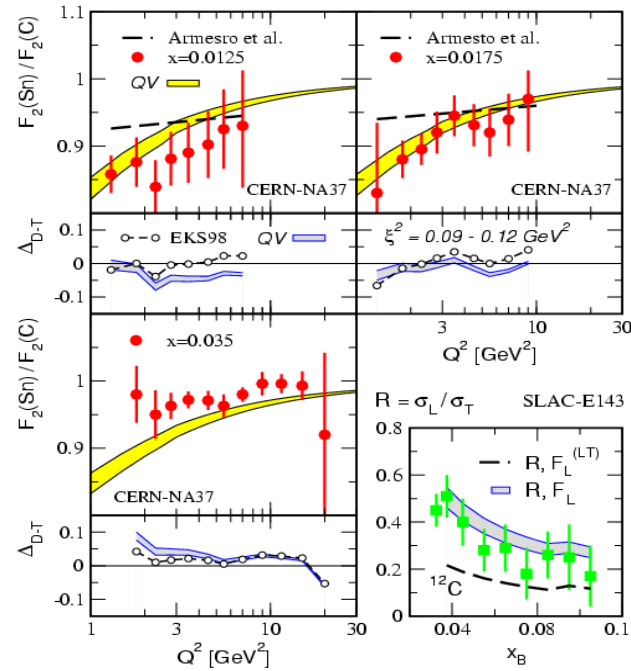
$$\xi^2 = \frac{3\pi\alpha_s}{8R^2} \langle F^{+\alpha} F_{\alpha}^+ \rangle$$



Qiu and Vitev, PRL (2004)

Single parameter for all x and Q^2 dependence

$$\xi^2 \sim 0.09 - 0.12 \text{ GeV}^2$$

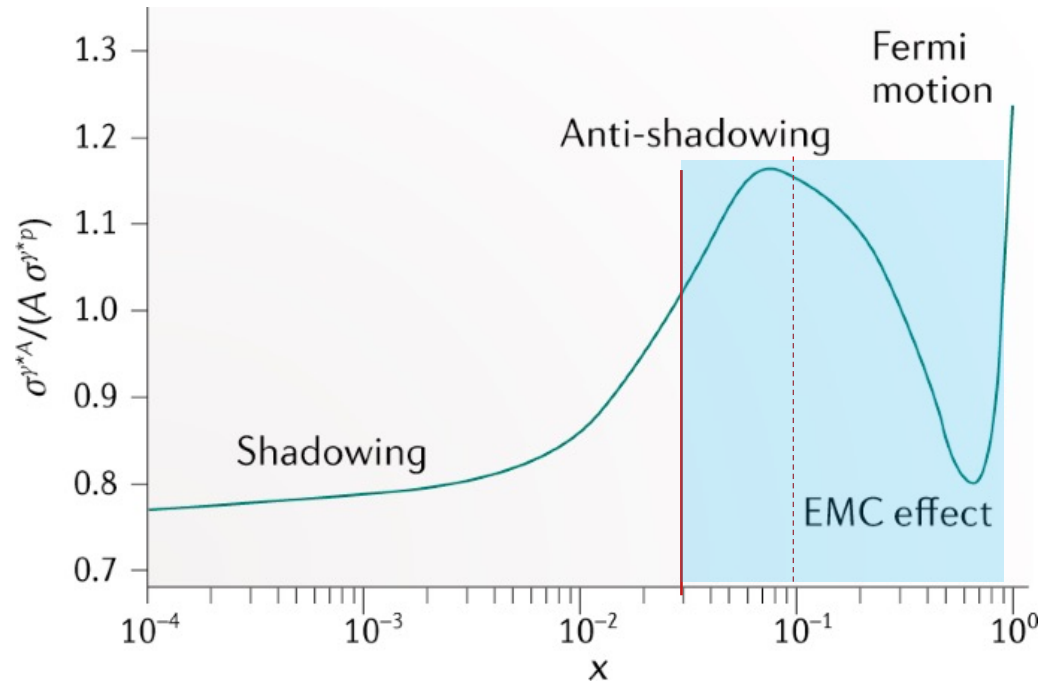


The suppression in small- x can be caused by “coherent multiple scattering” (collision effect)
 + “modification of nuclear parton density” due to inter-nucleon interaction (nuclear effect)
 – how to separate these two (EIC WP)?

Nuclear gluon density at “large” x

What is so special at $x \sim 0.1$?

Physics at $x > 0.1$:



- The detailed study of “Tagged” structure functions can help explore internal structure of SRC nucleons
- The “breakup” of strongly correlated nucleons
- ...

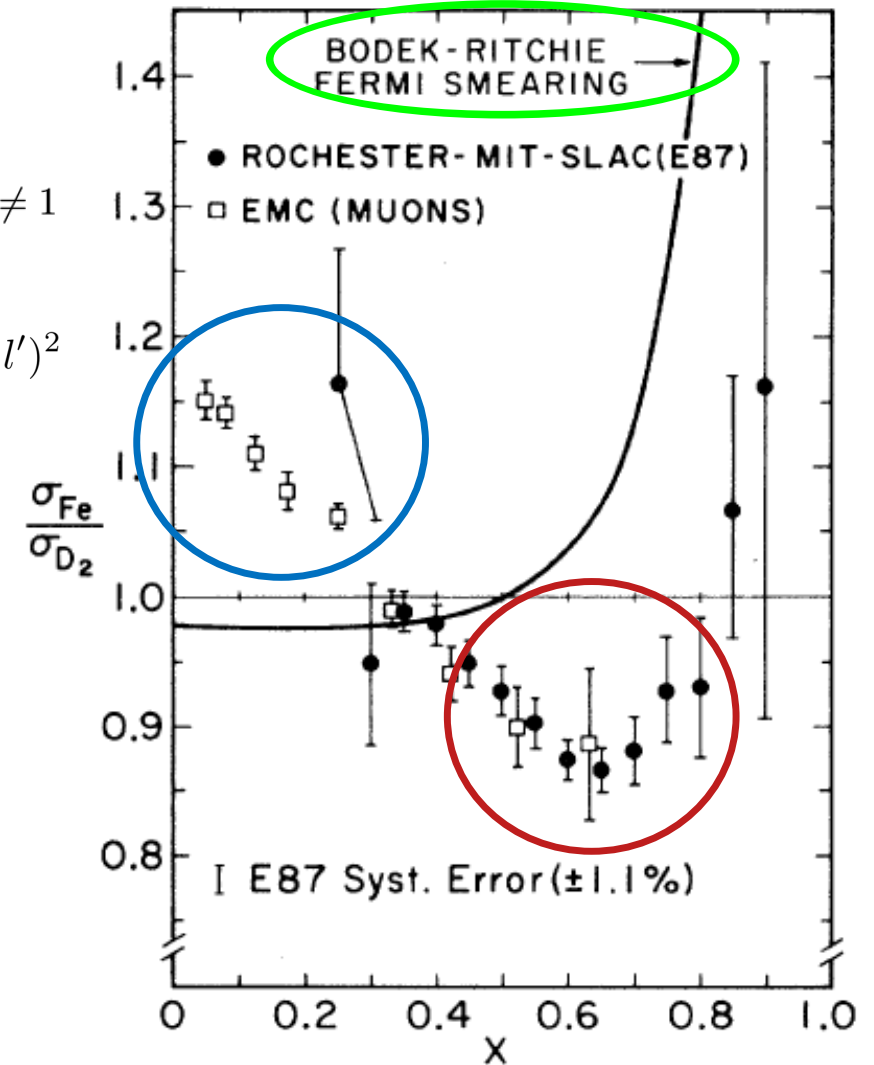
It is not the focus of this workshop

EMC Effect:

$$R_{F_2} = \frac{\frac{1}{A} F_2^A(x, Q^2)}{\frac{1}{2} F_2^D(x, Q^2)} \neq 1$$

$$Q^2 = -q^2 = -(l - l')^2$$

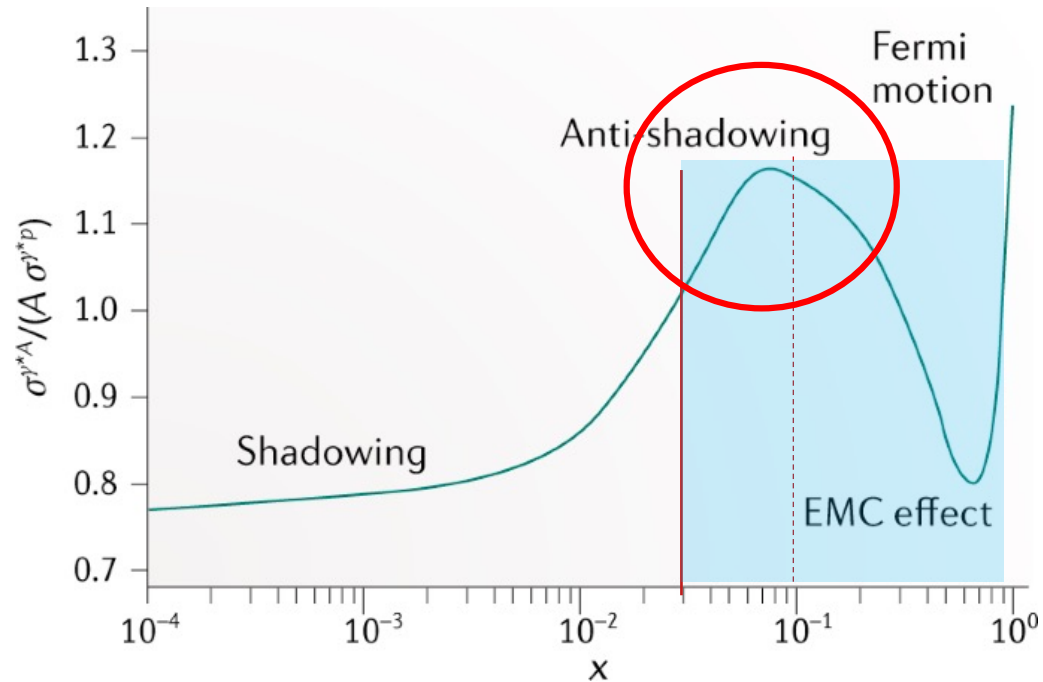
$$x = \frac{Q^2}{2(p_A/A) \cdot q}$$



Short-range correlation (SRC)
+ other interpretations

What is so special at $x \sim 0.1$?

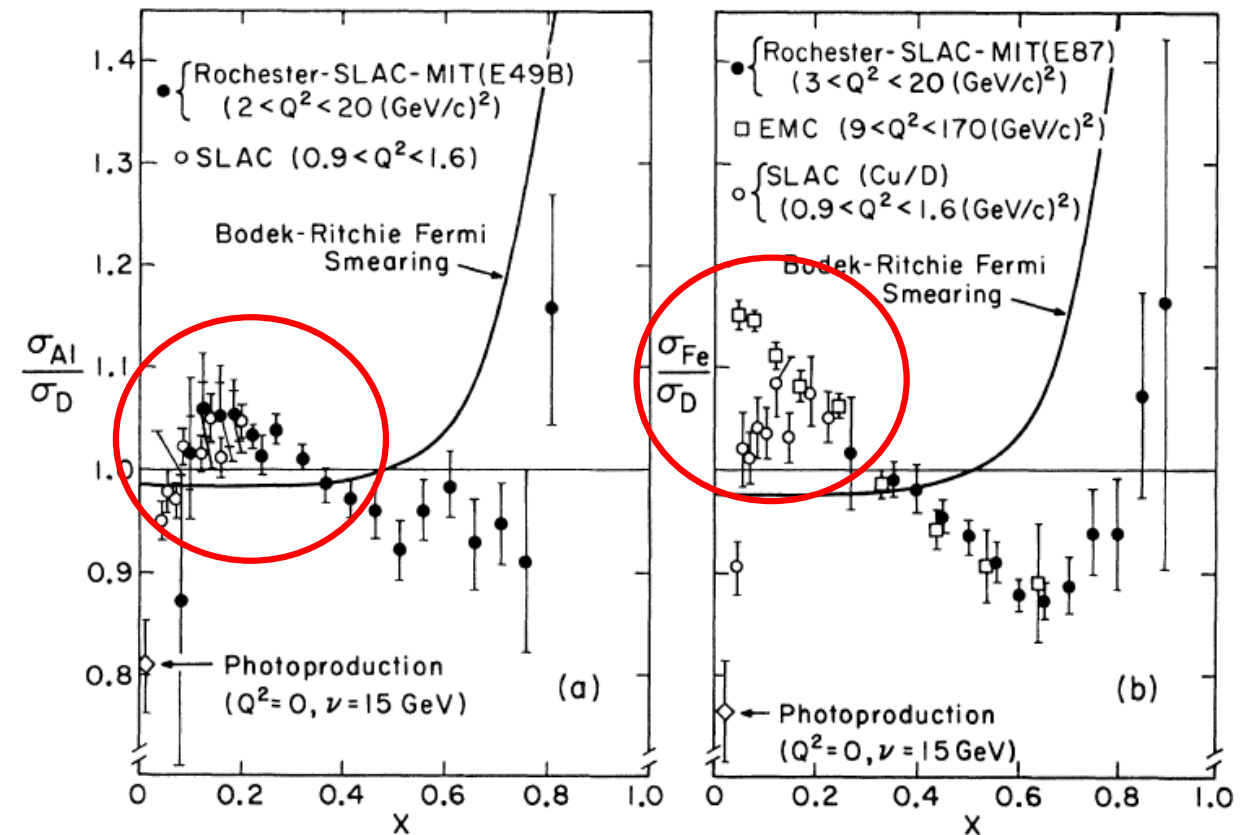
Physics at $x \sim 0.1$:



What happened to all those calculations that were successful to explain the EMC data?

What is the physics behind the antishadowing?

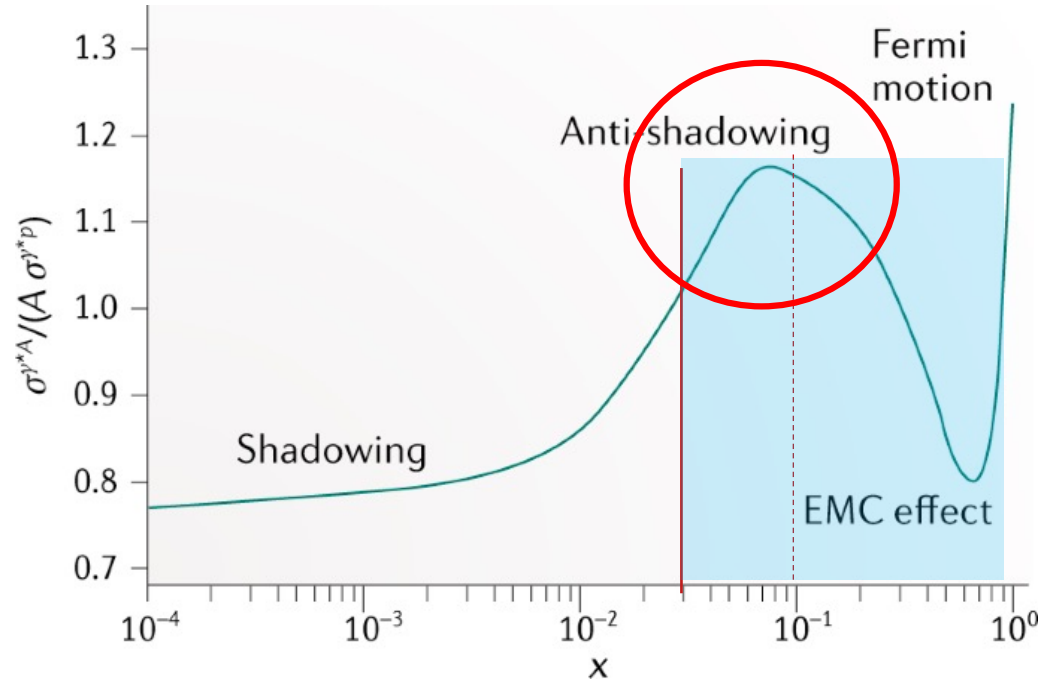
Anti-shadowing:



At small x , SLAC and EMC data show an opposite effect

What is so special at $x \sim 0.1$?

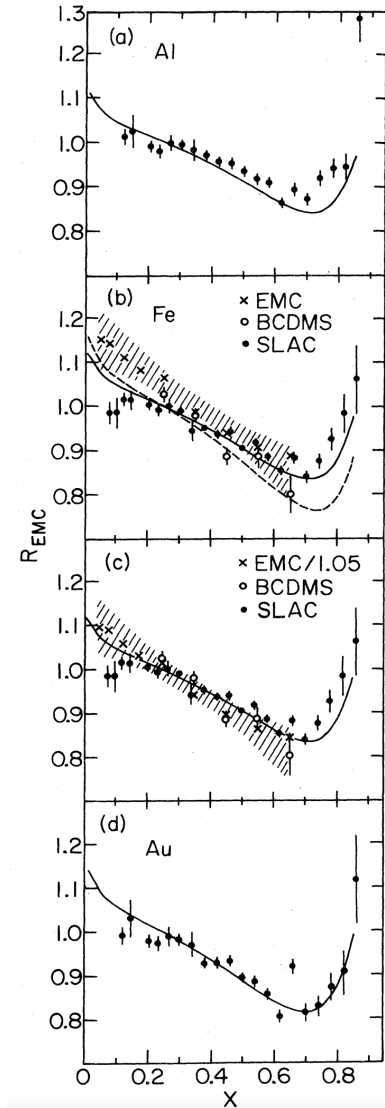
Physics at $x \sim 0.1$:



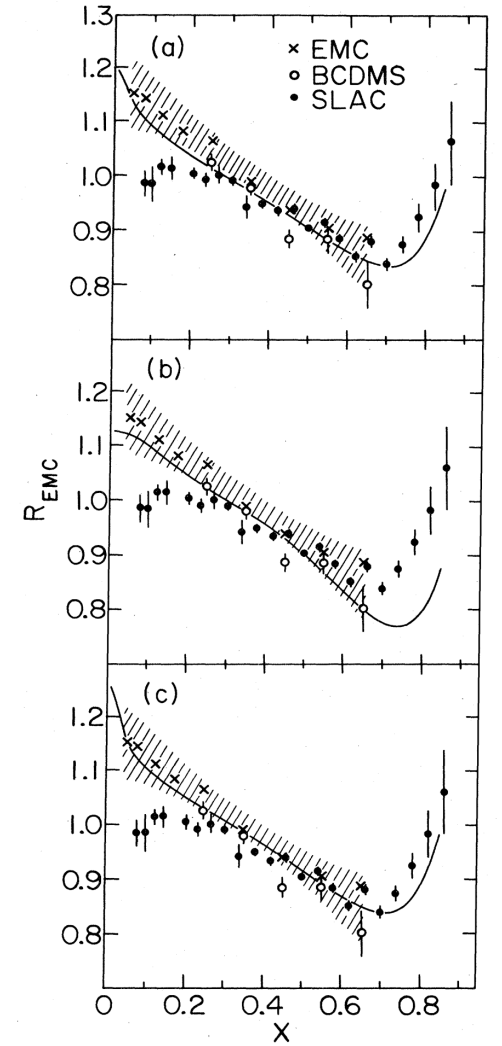
$$F_2^A(x, Q^2) = \int_{z \geq x} dz f_N(z) F_2^N \left[\frac{x}{z}, Q^2 \right] + \int_{y \geq x} dy f_\pi(y) F_2^\pi \left[\frac{x}{y}, Q^2 \right] + \int_{z \geq x} dz f_B(z) F_2^B \left[\frac{x}{z}, Q^2 \right]$$

f_N, f_π, f_B Given by known nuclear model

Pion Exchange Model:



Berger, Coester, PRD, 1985

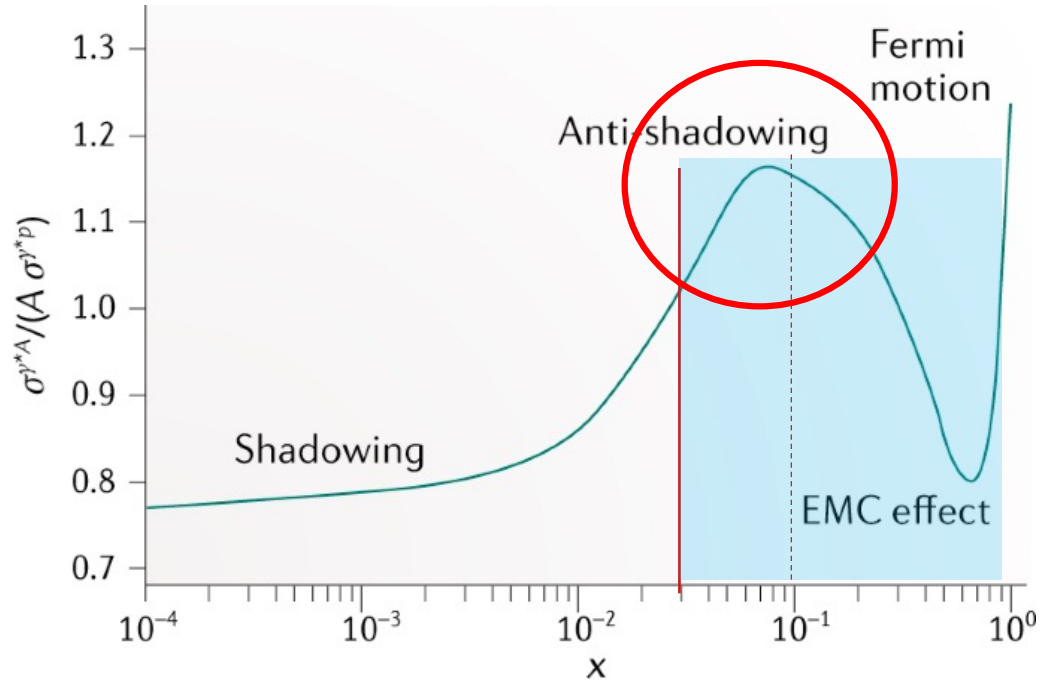


What is so special at $x \sim 0.1$?

Physics at $x \sim 0.1$:

Close, Jaffe, Roberts, Ross, PRD, 1985

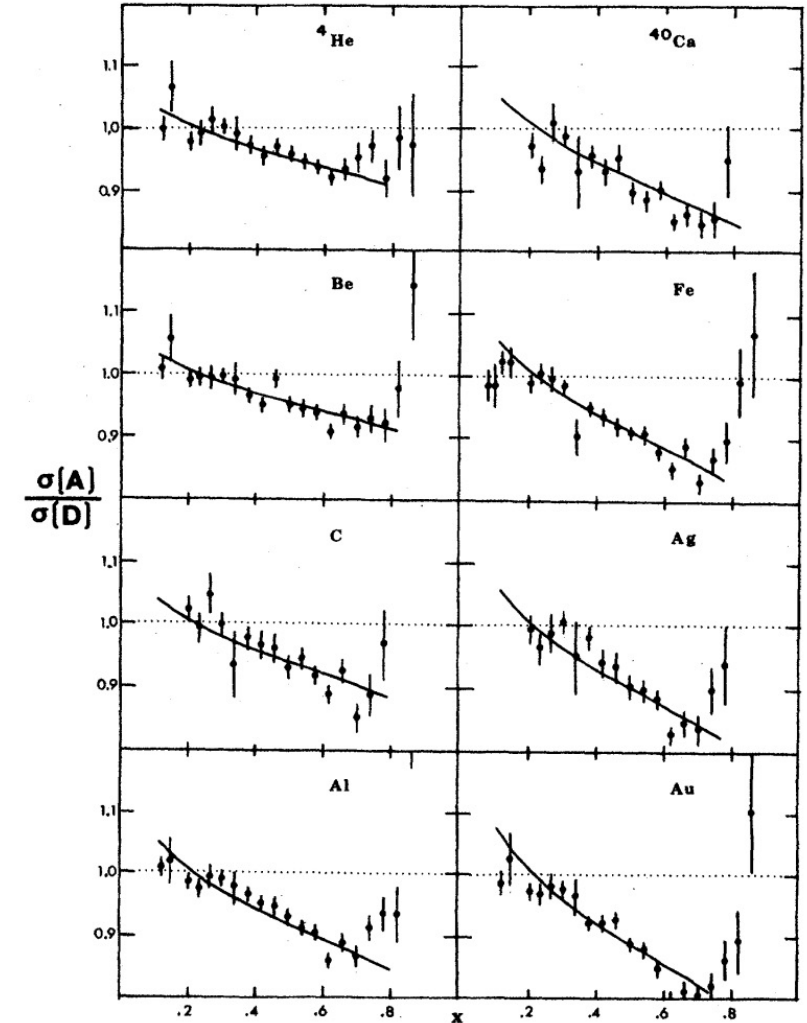
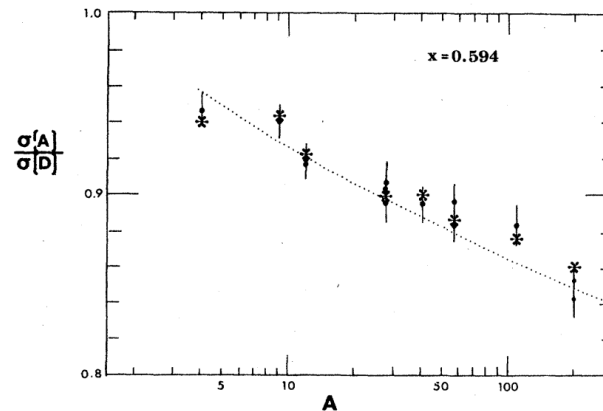
Change of confining scale:



$$\frac{1}{A} F_2^A(x, Q^2) = F_2^N(x, \xi_A(Q^2) Q^2)$$

“rescaling parameter” $\xi_A(Q^2)$

Sensitive to nuclear model

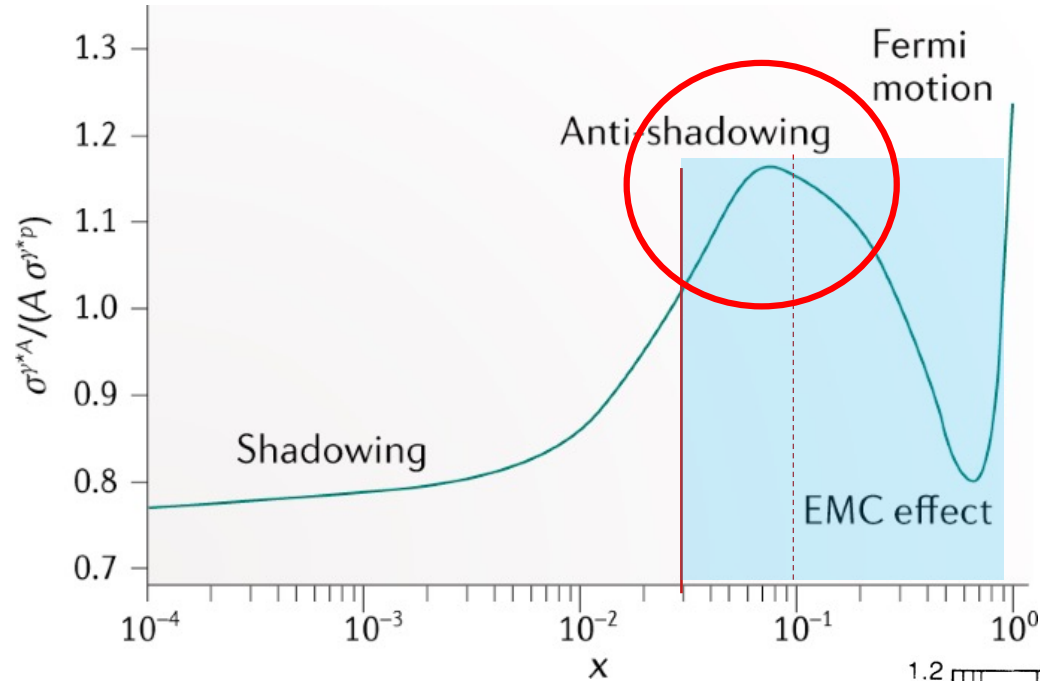


What is so special at $x \sim 0.1$?

Physics at $x \sim 0.1$:

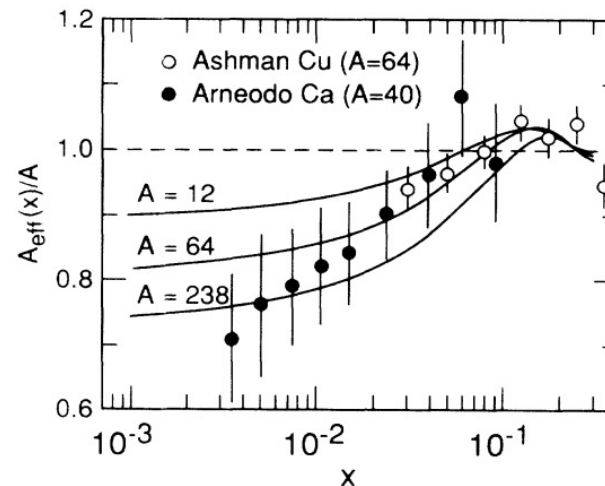
Multiple scattering:

Brodsky, Lu, PRL, 1990

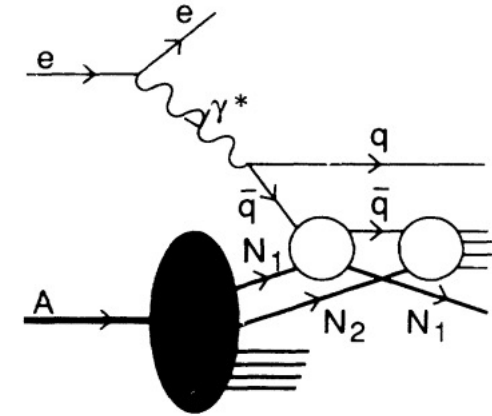


$$\frac{A_{\text{eff}}(x)}{A} = \frac{F_2^A(x)}{A F_2^N(x)} = \frac{x f^A(x)}{A x f^N(x)}$$

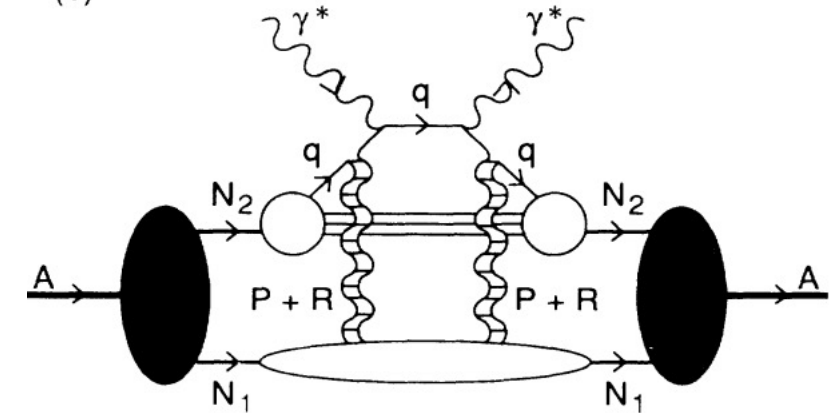
$$= \frac{\int ds d^2 k_{\perp} \text{Im} T_R^A(s, \nu^2)}{A \int ds d^2 k_{\perp} \text{Im} T_R^N(s, \nu^2)}$$



(a)

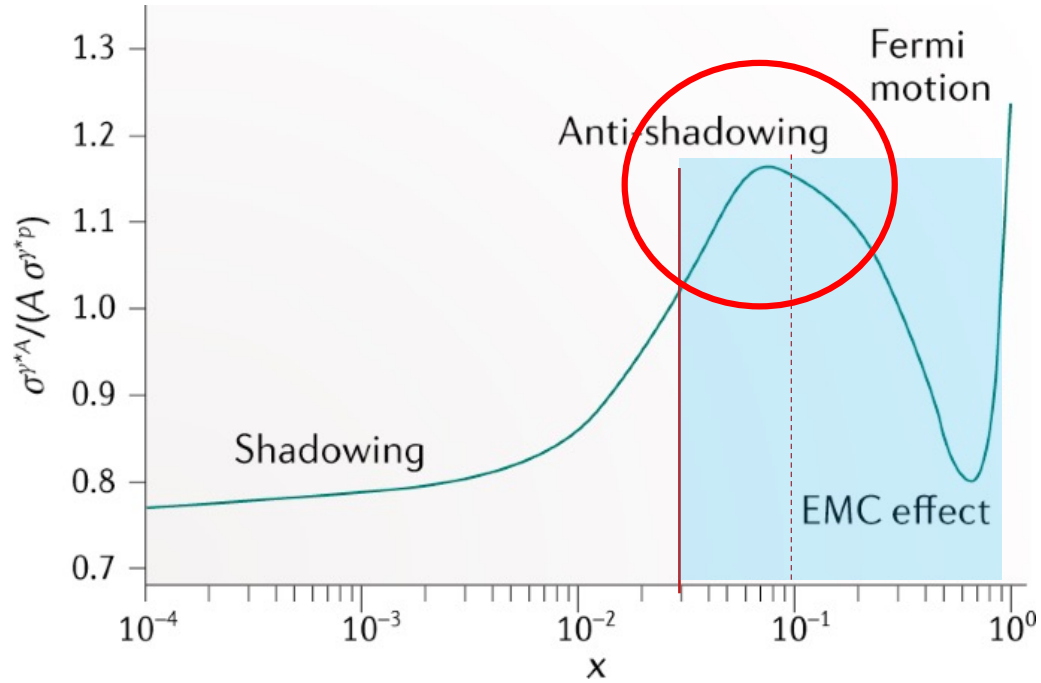


(b)

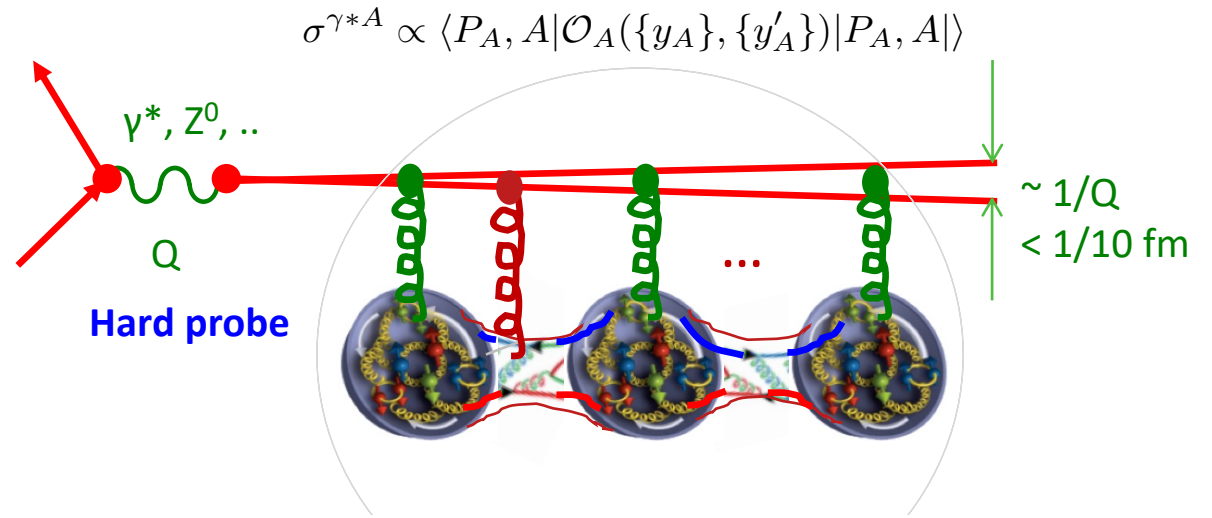


What is so special at $x \sim 0.1$?

Physics at $x \sim 0.1$:



Multiple scattering with nuclear enhanced DPFs?



$$\sigma^{\gamma^*A} \propto \langle P_A, A | \mathcal{O}_A(\{y_A\}, \{y'_A\}) | P_A, A \rangle$$

$$F_T(x_B, Q^2) = \sum_{n=0}^N \frac{1}{n!} \left[\frac{\xi^2}{Q^2} (A^{1/3} - 1) \right]^n x_B^n \frac{d^n}{dx_B^n} F_T^{(0)}(x_B, Q^2)$$

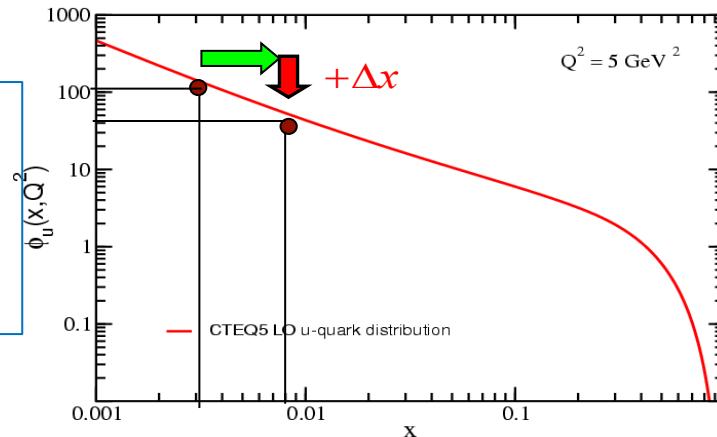
$$\approx F_T^{(0)}(x_B(1 + \Delta), Q^2)$$

$$\Delta \equiv \frac{\xi^2}{Q^2} (A^{1/3} - 1)$$

$$\xi^2 = \frac{3\pi\alpha_s}{8R^2} \langle F^{+\alpha} F_{\alpha+} \rangle$$

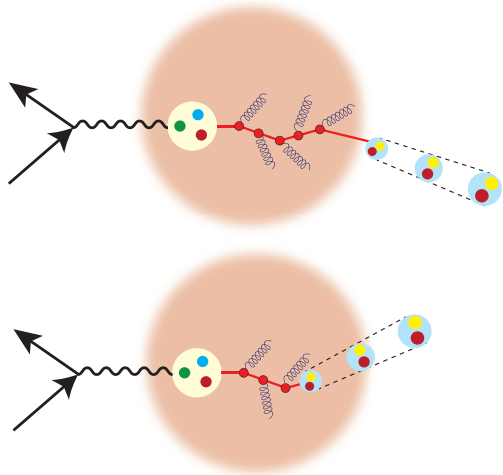
Nuclear enhanced distributions

A shift in x on an enhanced "nuclear" structure functions could lead to the antishadowing phenomenon



Emergence of a hadron

□ Nuclei as femtometer sized detectors:



$$\nu = \frac{Q^2}{2mx}$$

At JLab 20+GeV, better range of ν than JLab 6!

SIDIS in eA:

Propagation of a color charge, and multiple scattering
Color neutralization and the lifetime of a color state

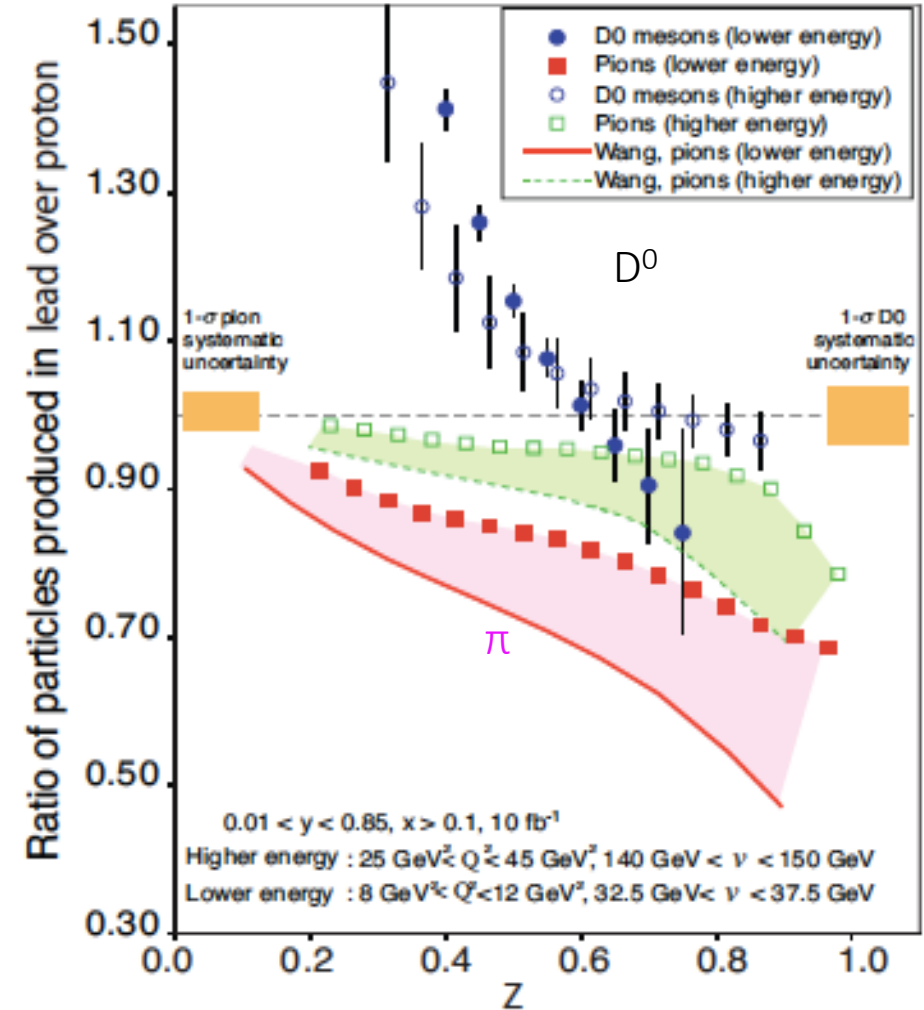
A-dependence of production rate – 0th moment

A-dependence of transverse momentum broadening – 1st moment

...

Simulation is needed!

W.K. Brooks



EIC WP

Summary

We have many excellent talks in this short and focused workshop

With a higher energy electron beam (~20-24 GeV) at JLab, we could explore

- the long-standing mystery of anti-shadowing for the first time in decades
 - CTEQ found that nuclear dependence in this region seems different for neutrino beam
- novel tagged measurements to provide access to meson structure and the role of mesons in nuclei
- how to better extract the meson distributions
- the strange sea with minimal theoretical bias by using parity-violating electron scattering
- the interplay of the valence and sea regimes by studying in this transition region
- emergence of hadron and color propagation
- Impact on our theory perspectives for strong interaction at Fermi-scale

.....

Backup slides