



# Near-Threshold $J/\psi$ Production and Gravitational Form Factors

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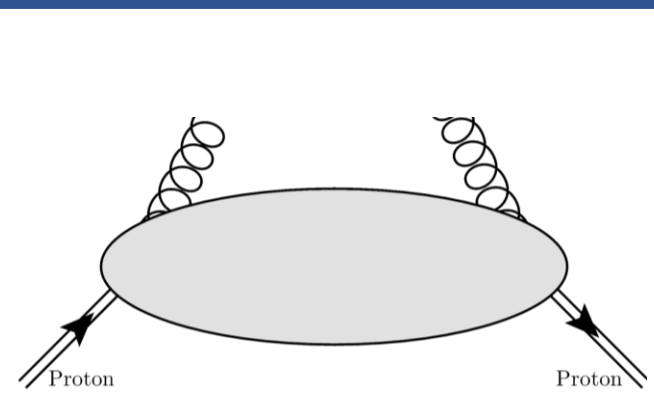
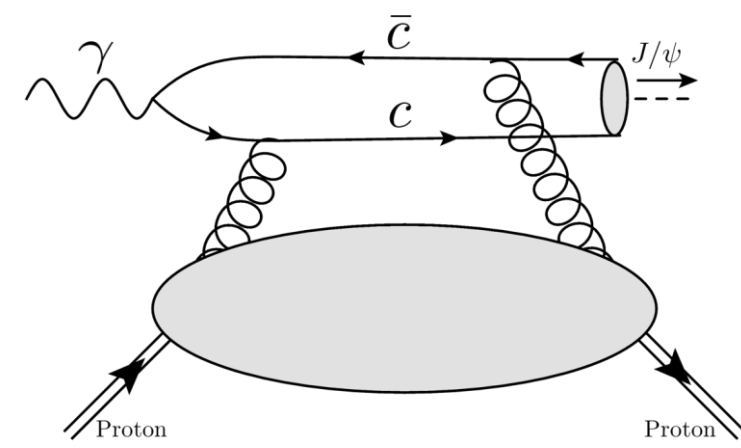
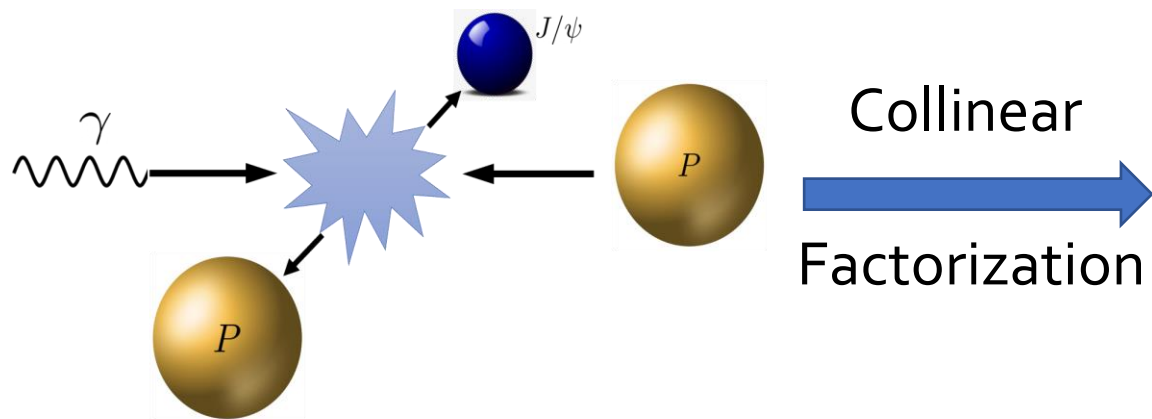
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$J/\psi$  and Beyond

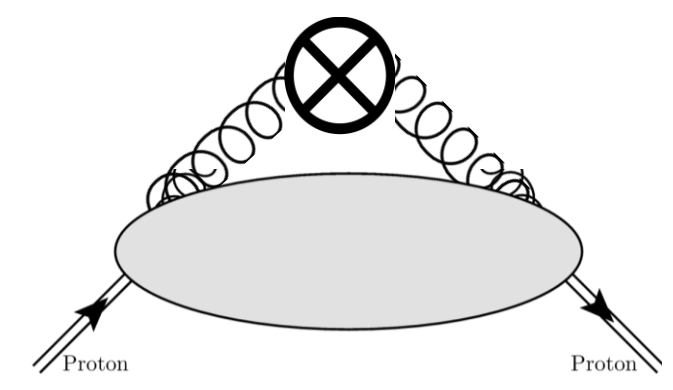
Aug. 16 - 17th

Based on 2103.11506 with  
Xiangdong Ji and Yizhuang Liu.

# A quick overview



Large  $\xi$   
Expansion

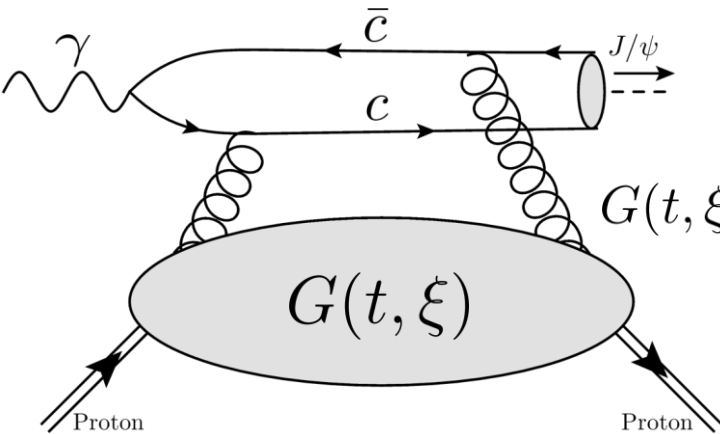


# Outline

- When/how would large xi expansion work?
- The relevance of JLab 20+ GeV

# Compton form factor (CFF)

Before large  $\xi$  expansion, the nucleon matrix element is just CFF



$$G(t, \xi) = \frac{1}{2\xi} \int_{-1}^1 dx \left( \frac{1}{x + \xi - i0} - \frac{1}{x - \xi + i0} \right) F_g(x, \xi, t)$$

The inverse problem - reconstruct GPDs from CFFs



Alternatively, can we get just the gravitational form factors (GFFs)?

$$F_g^{\text{asym}}(x, \xi, t) \propto \left( 1 - \frac{x^2}{\xi^2} \right)^2 \theta \left( 1 - \frac{x}{\xi} \right) \quad \text{Hatta's talk}$$

# When do GFFs (Leading FFs) dominate?

Equivalently, when are the higher order form factors suppressed?

One obvious example:  $\mu_f \rightarrow \infty$

$$\mathcal{F}_j(\mu_f) \sim \left( \frac{\alpha_S(\mu_f)}{\alpha_S(\mu_0)} \right)^{-\gamma_j/\beta_0} \mathcal{F}_j(\mu_0)$$

A less obvious example: the end-point constraint at  $x=1$

The higher order FFs must vanish fast  
to satisfy the end-point constraints!

# PDF-like and DA-like GPDs

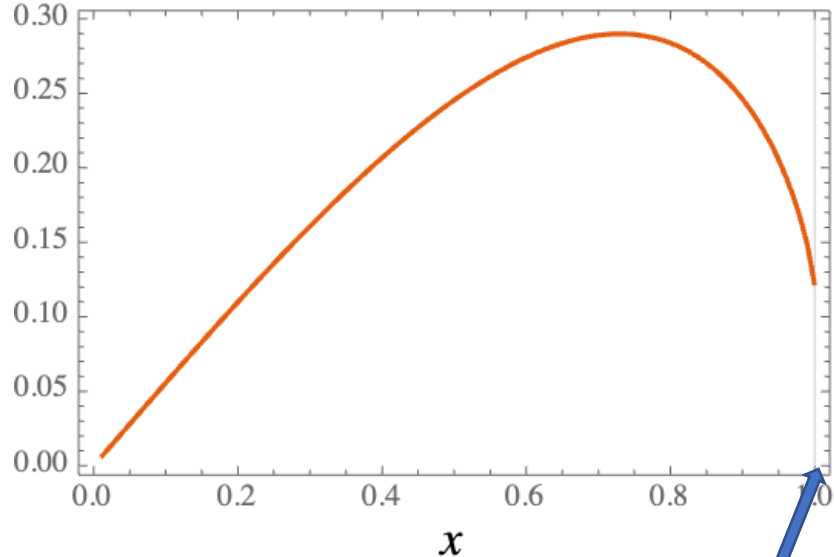
## PDF-like

- Higher order FFs power suppressed

$$\mathcal{F}_j \sim j^{-\beta-1}$$

- Long tail in DGLAP region

$$f(x, \xi=1)$$



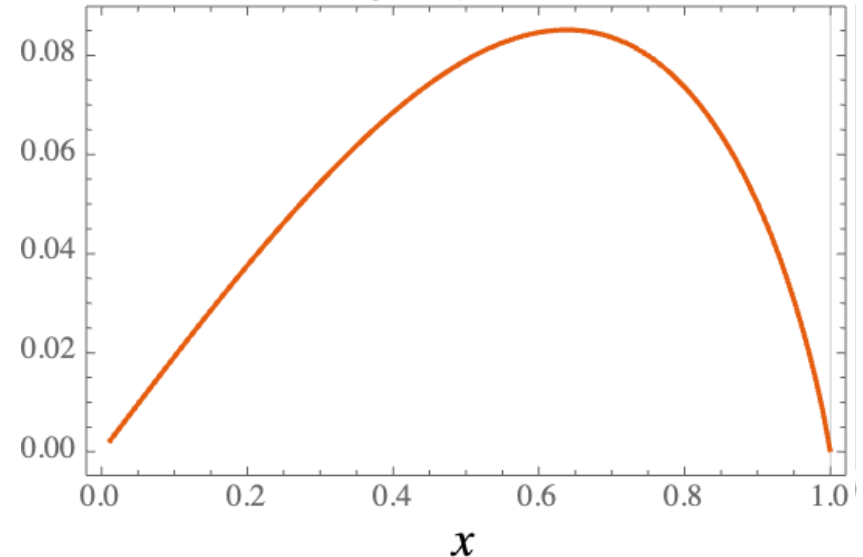
## DA-like

- Higher order FFs exp. suppressed

$$\mathcal{F}_j \sim j^{-\beta-1} \exp(-\alpha j)$$

- Vanish fast in DGLAP region

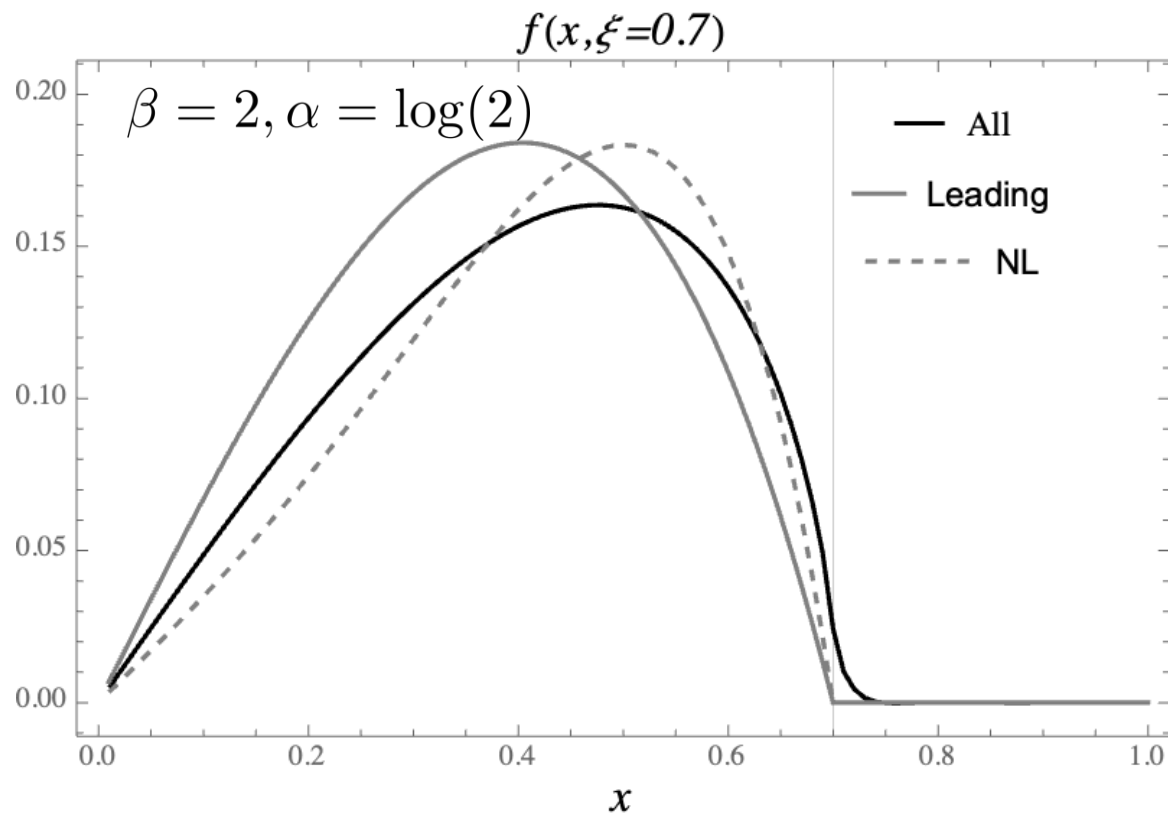
$$f(x, \xi=1)$$



Higher moments must be exponentially suppressed as  $\xi$  increases!

# Leading moment dominance

In order to satisfy the end-point constraint at  $x=1$ , the higher moments must be exponentially suppressed at large  $x_i$

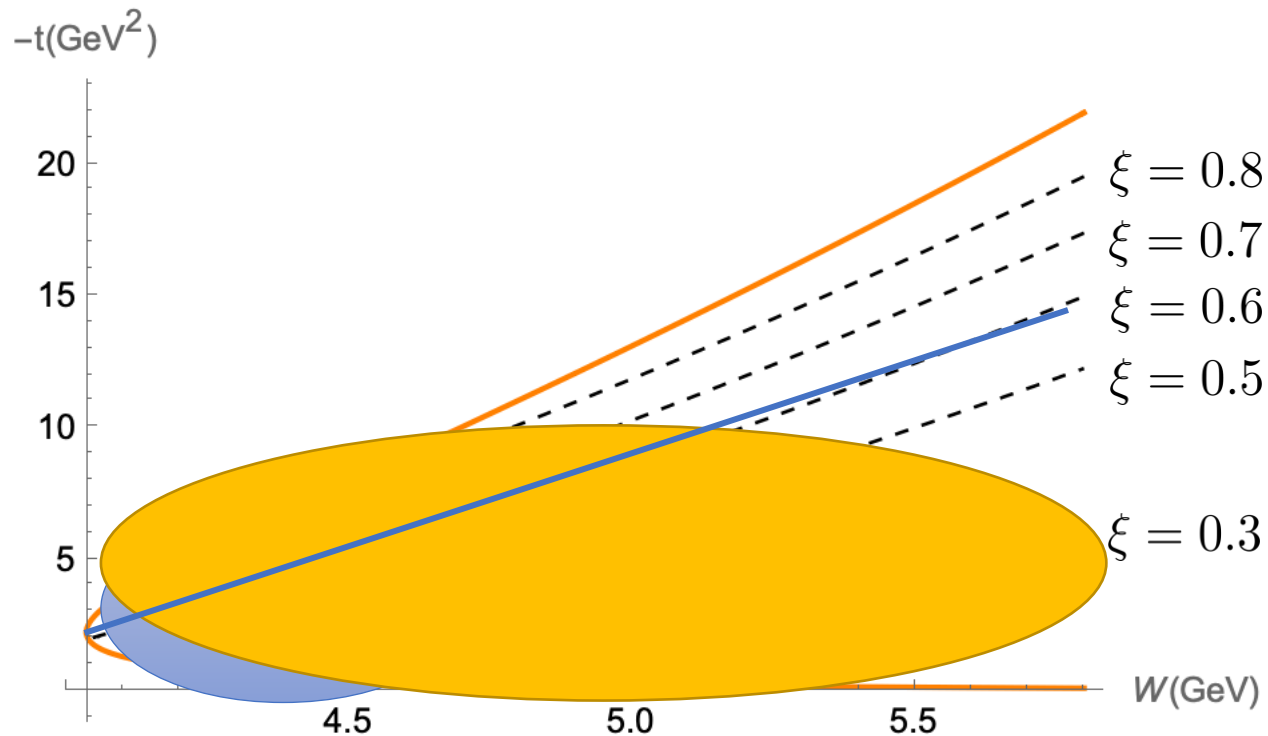


Order	CFFs
LO	-0.378
NL	-0.418
NNL	-0.445
All	-0.497- 0.07i

Caveat - what's the alpha when  $x_i$  is less than 1?

# What does JLab 20+ GeV do?

For photo-production of J/psi, large xi region needs higher photon beam energy



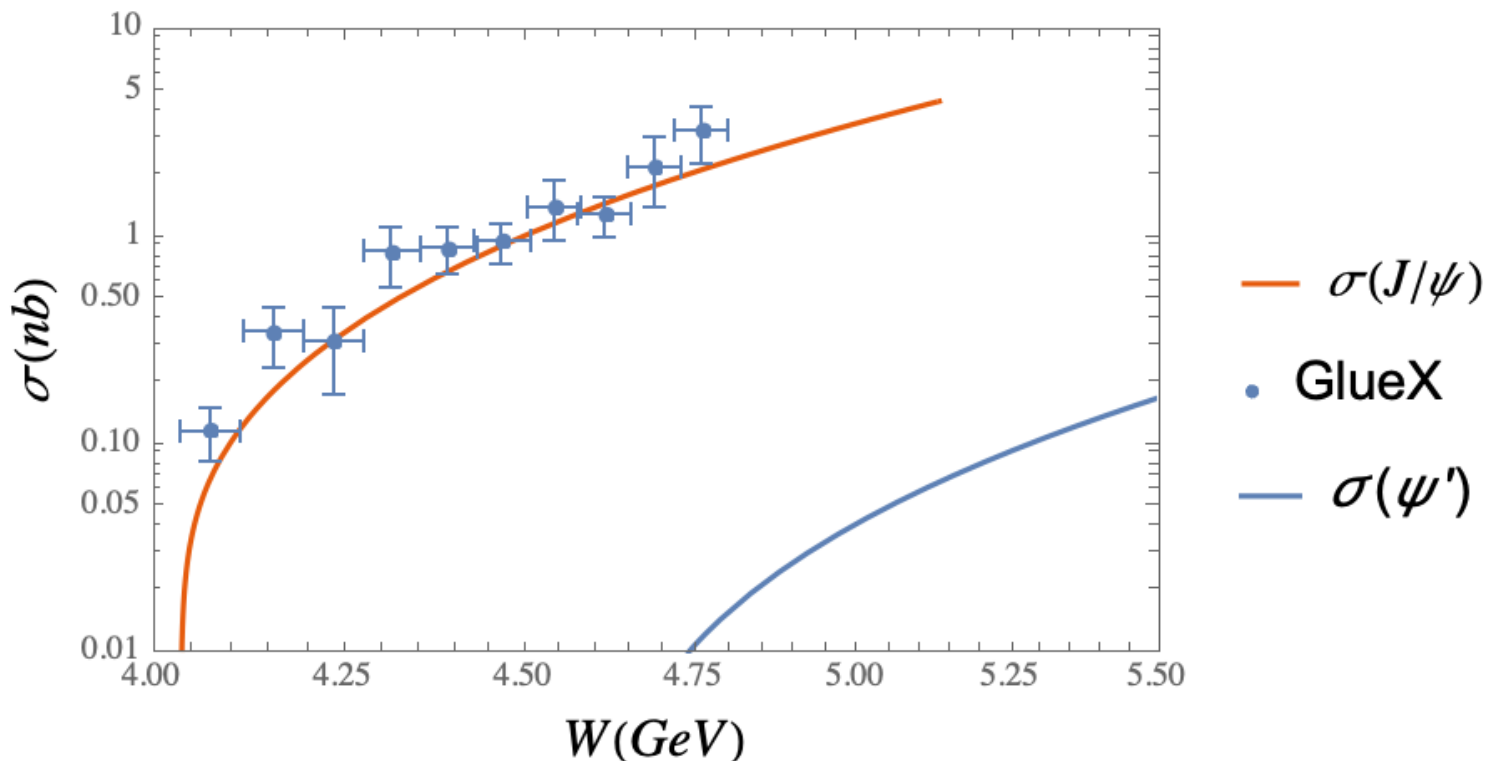
Joosten's talk



# Psi(2s) production at JLab 20+

Psi(2s) with larger mass is more ideal for heavy meson limit

The larger meson mass help push the xi higher



The factorization and universality can be tested

# J/psi production with polarized target

Separation of different GFF (A and C) is not easy.

More information can be extracted with polarized measurements.

To the leading twist we have trans. photon and Jpsi

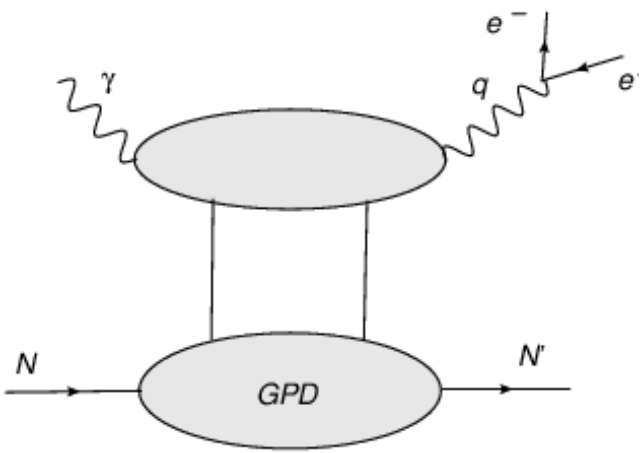
For instance, for trans. polarized target, we have

$$|G(t, \xi, S', S)|^2 = \frac{1 - S \cdot S'}{4} \sum_{S, S'} |G(t, \xi, S, S')|^2 + \frac{S'^+ (P' \cdot S)}{2\xi^4 \bar{P}^+} [H_2 + E_2] [(1 + \xi)H_2 + \xi E_2] + \frac{(P \cdot S')(P' \cdot S)}{4\xi^4 M_N^2} E_2^2 .$$

Different combination of GFFs will be measured.

# One step back – exploring GPD at large $\xi$

Quark sector



Time-like Compton scattering

Doubly DVCS

Gluon sector

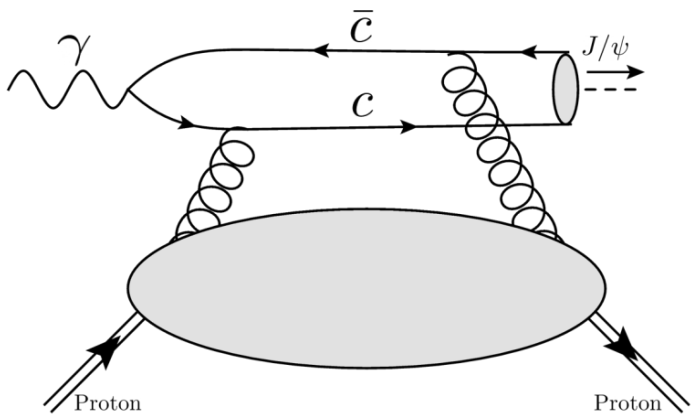
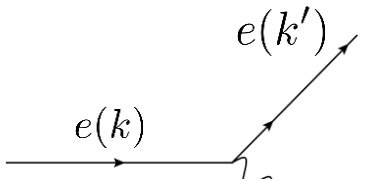


Photo-production of J/psi

Lepto-production of J/psi



GPDs at large  $\xi$  reveal more information about GFFs

# Summary

- At large  $x_i$ , GPDs are more sensitive to the GFFs
- High energy photon is important to reach high  $x_i$  region
- $\Psi(2s)$  production provides unique opportunities
- Polarized measurements are also helpful in separating GFFs

Thank you!