

Measurement of ^3He Elastic
Electromagnetic Form Factor
Diffractive Minima Using Polarization
Observables

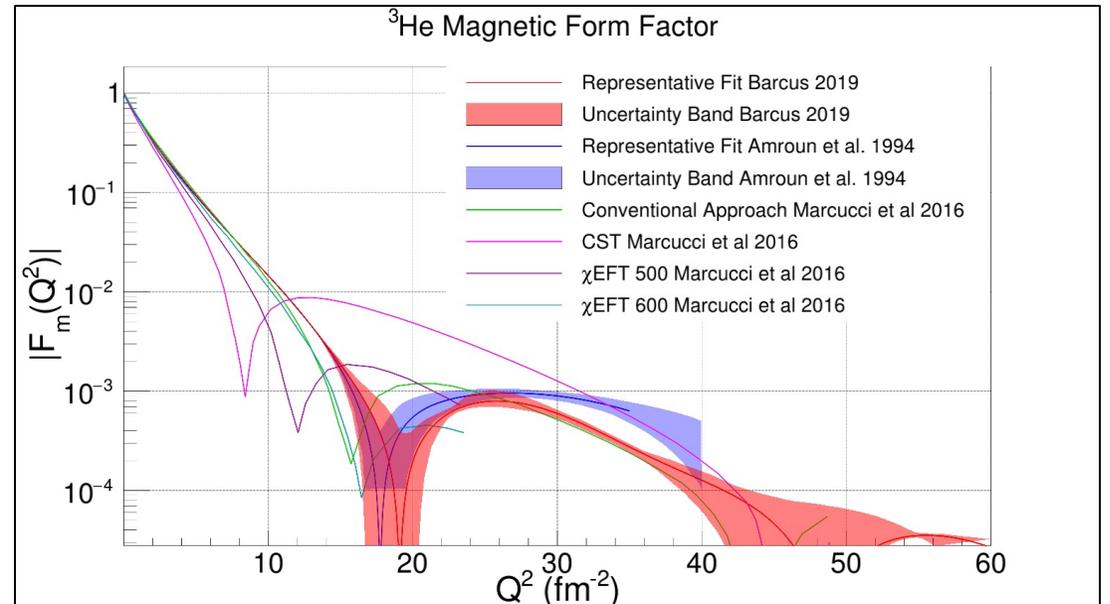
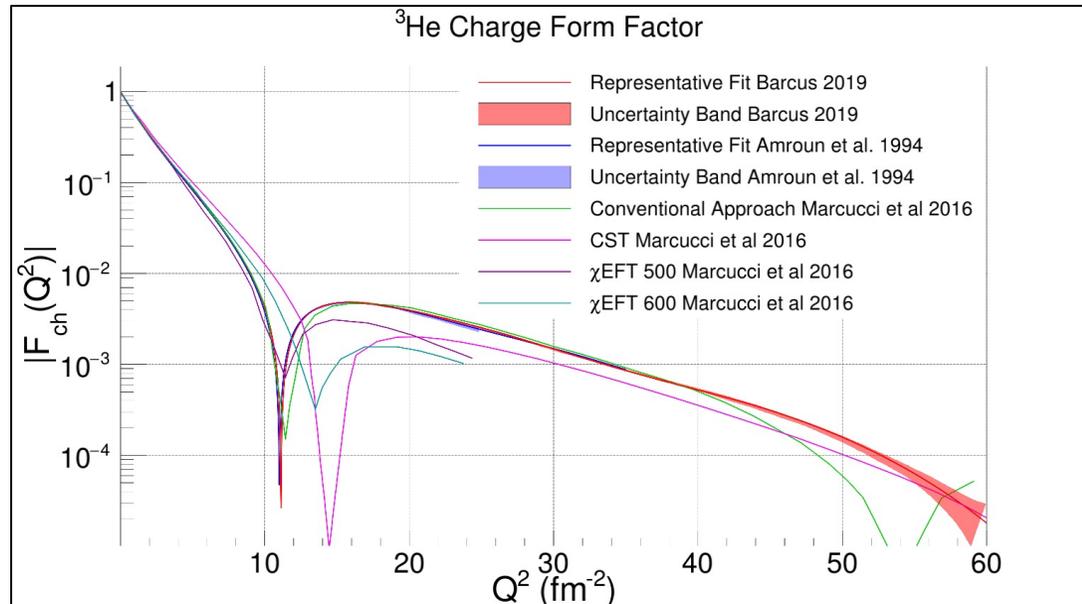
Michael Nycz

Hall C Collaboration Meeting

February 17, 2022



Experimental and Theoretical Comparison

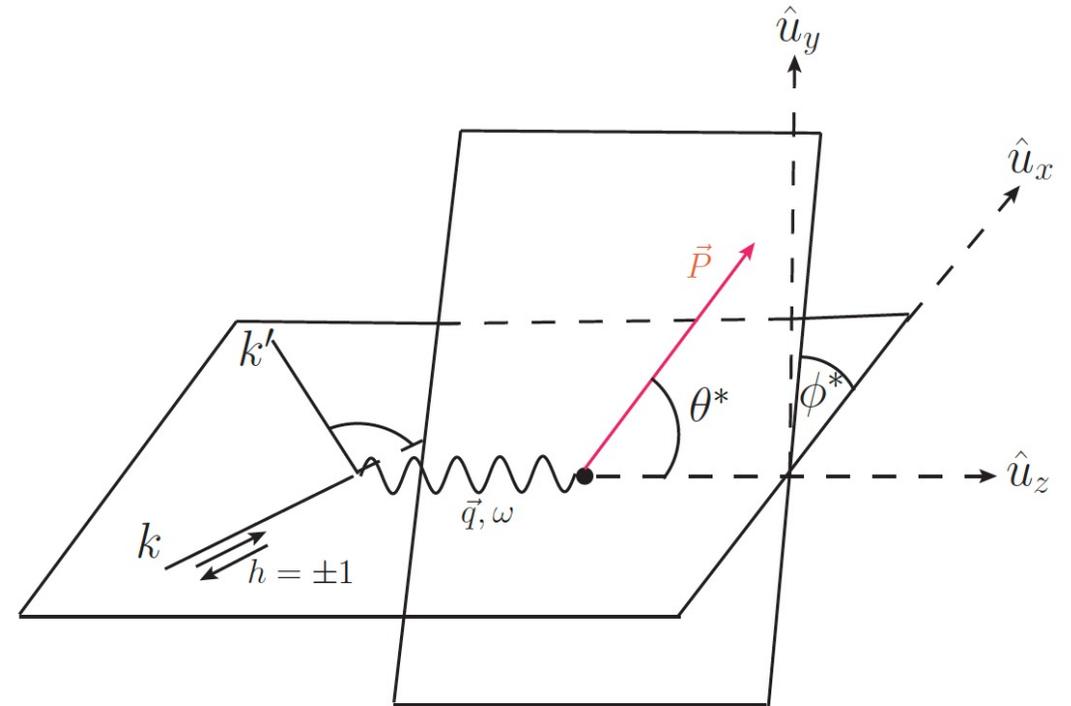


- **Discrepancies in location of minima of the magnetic form factor**
- Rosenbluth separations in diffractive minima are non-trivial
- All high Q^2 ^3He Form Factor measurements are from unpolarized elastic scattering
- Differences in EM form factors of the proton between PO and Rosenbluth @ high Q^2

Double-Spin Asymmetry

The Asymmetry can be written as

$$A = \frac{\sigma_+ - \sigma_-}{\sigma_+ + \sigma_-} = \frac{\Delta}{\Sigma}$$



- Polarized electron with helicity ± 1
- Polarized target

Double-Spin Asymmetry

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$$A = \frac{\sigma_+ - \sigma_-}{\sigma_+ + \sigma_-} = \frac{\Delta}{\Sigma}$$

Where

$$\Delta = -\sqrt{2}V_{T'} \cos \theta^* G_M^2 - 2\sqrt{2}V_{LT'} \sin \theta^* \cos \phi^* G_E G_M$$

and

$$\Sigma = \frac{\varepsilon G_E^2 + \tau G_M^2}{\varepsilon(1 + \tau)}$$

$$v_L = \left(\frac{1}{1 + \tau} \right)^2$$

$$v_T = \frac{1}{2} \left(\frac{1}{1 + \tau} \right) + \tan^2 \left(\frac{\theta}{2} \right)$$

$$v_{TT} = \frac{1}{2} \left(\frac{-1}{1 + \tau} \right)$$

$$v_{TL} = \left(\frac{-1}{\sqrt{2}(1 + \tau)} \right) \sqrt{\left(\frac{1}{1 + \tau} \right) + \tan^2 \left(\frac{\theta}{2} \right)}$$

$$v_{T'} = \sqrt{\left(\frac{1}{1 + \tau} \right) + \tan^2 \left(\frac{\theta}{2} \right)} \tan \left(\frac{\theta}{2} \right)$$

$$v_{TL'} = \frac{1}{\sqrt{2}} \left(\frac{-1}{1 + \tau} \right) \tan \left(\frac{\theta}{2} \right)$$

*T.W. Donnelly and
A.S. Raskin

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Double Polarization Measurement

$$A_{phys} = \frac{-2\sqrt{\tau(1+\tau)} \tan\left(\frac{\theta}{2}\right)}{G_E^2 + \frac{\tau}{\epsilon} G_M^2} \left[\sin(\theta^*) \cos(\varphi^*) G_E G_M + \sqrt{\tau \left[1 + (1+\tau) \tan^2\left(\frac{\theta}{2}\right) \right]} \cos(\theta^*) G_M^2 \right]$$

$$A_{meas} = \frac{N^+ - N^-}{N^+ + N^-}$$

$$A_{meas} = P_t P_l A_{phys}$$

Where

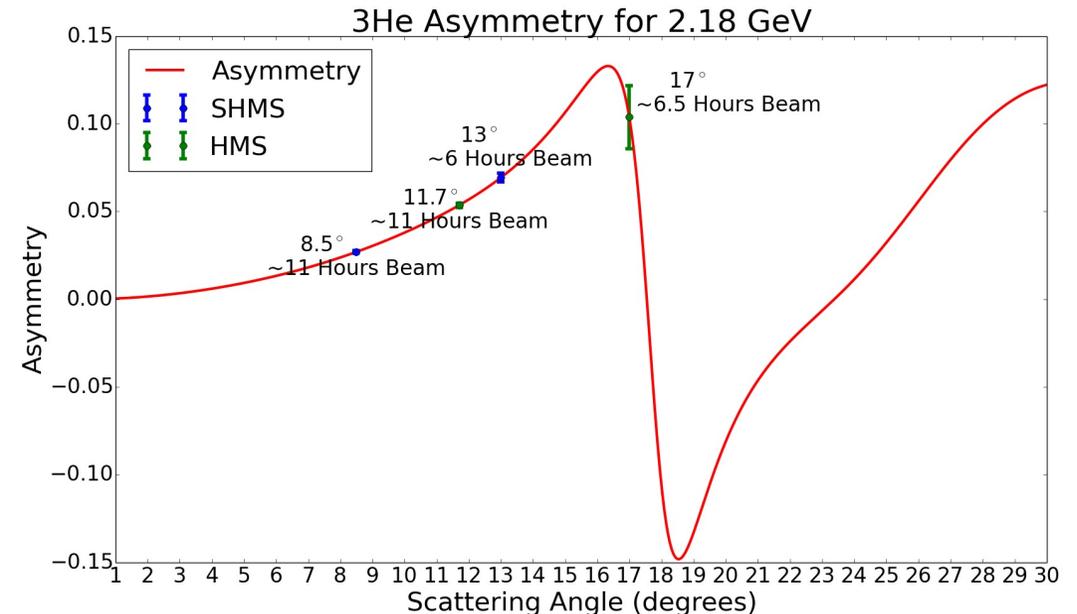
θ^* & φ^* - polar & azimuthal angles of polarization vector of target

P_t & P_l - Polarization of target and electron beam

Experiment E12-06-121A

- Ran parasitically in Hall C during d_2^n
 - Configured with d_2^n planned 1st pass systematic measurements
- Target cells
 - Polarized ^3He cell
 - Reference ^3He cell
- Beam energy: 2.18 GeV
- Beam current: $30 \mu\text{A}$
- Detect elastically scattered electrons independently in both HMS and SHMS
- Collected ≈ 17 hours of data

Kinematic Settings



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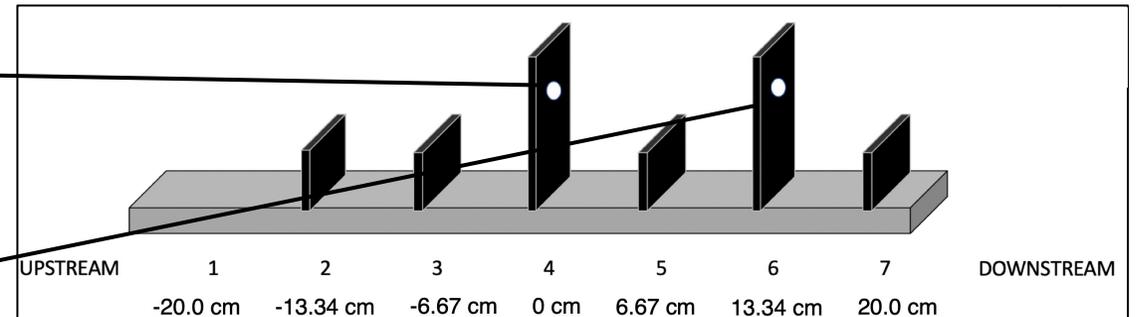
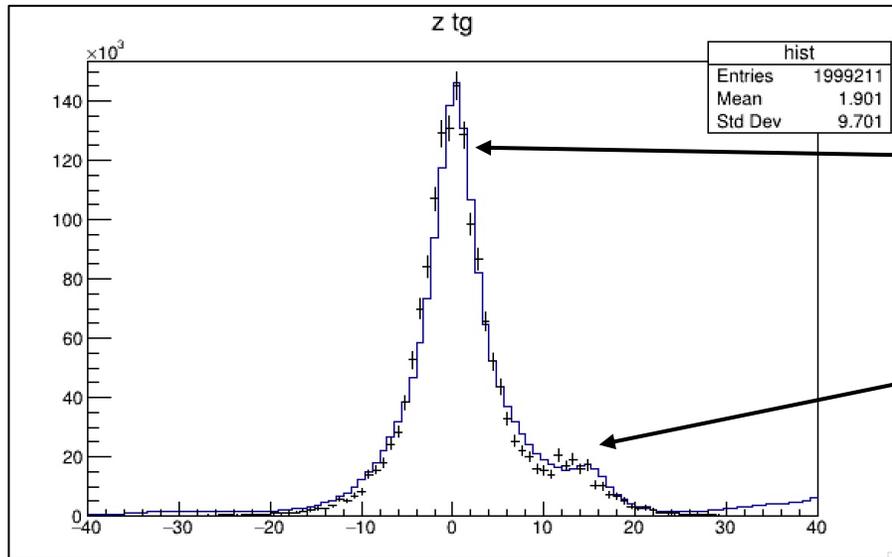
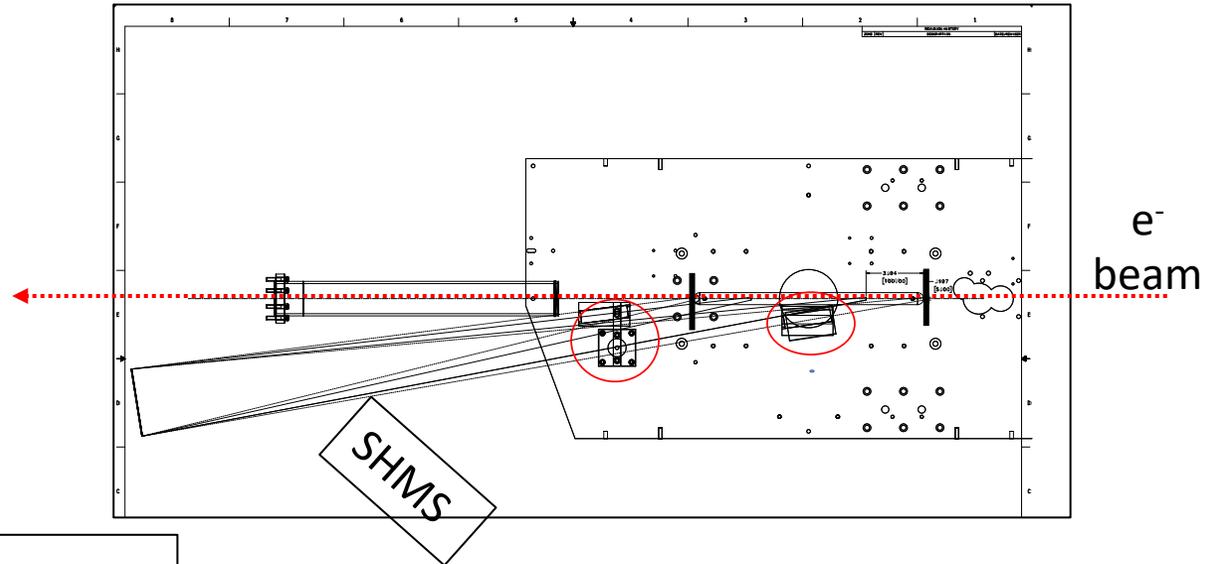
Collimator

Kinematic Settings

Spectrometer	θ [$^\circ$]	P_0 [GeV]	Q^2 [fm^{-2}]
SHMS	8.5	2.12	2.60
SHMS	13.0	2.12	6.10
HMS	11.7	2.08	4.88
HMS	17.0	2.08	10.25

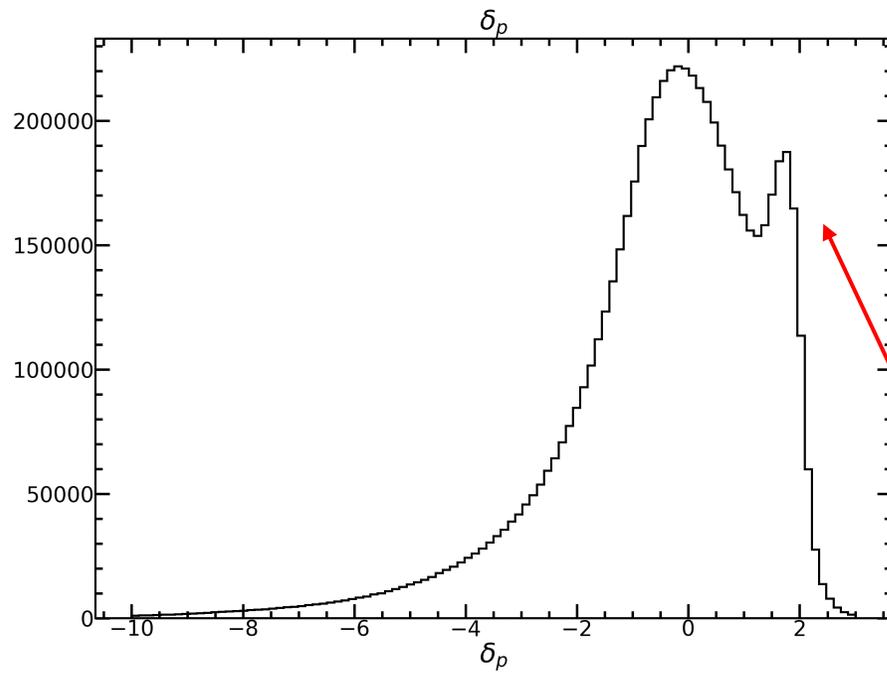
1. Collimator positioned on SHMS to limit background
2. Scintillator Paddles optimized on both SHMS and HMS to reduce Quasi-Elastic background

Target Collimator (SHMS)

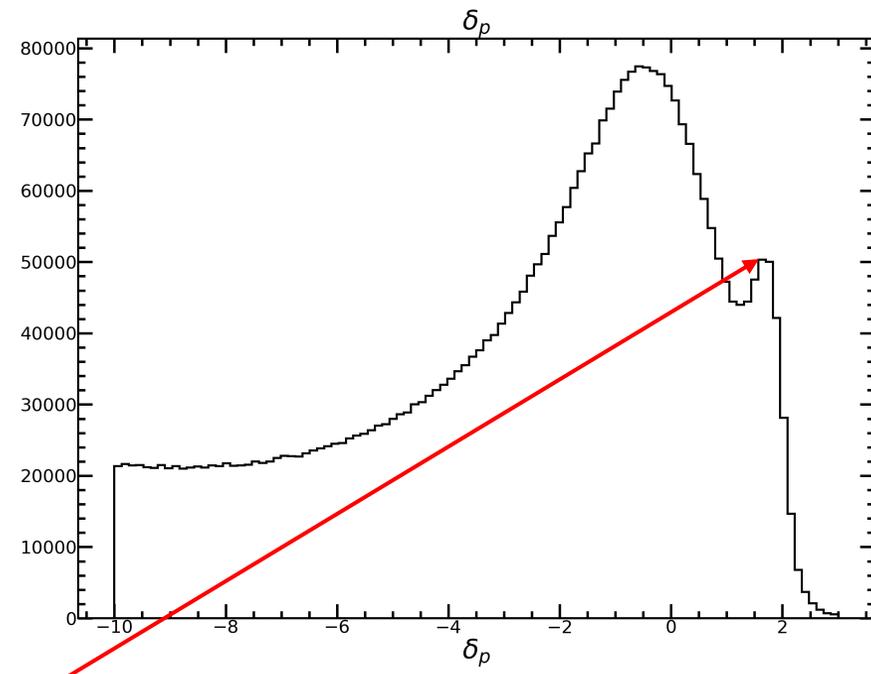


Scintillator Paddle Configurations

Optimized scintillator paddles



All scintillator paddles



Elastic events

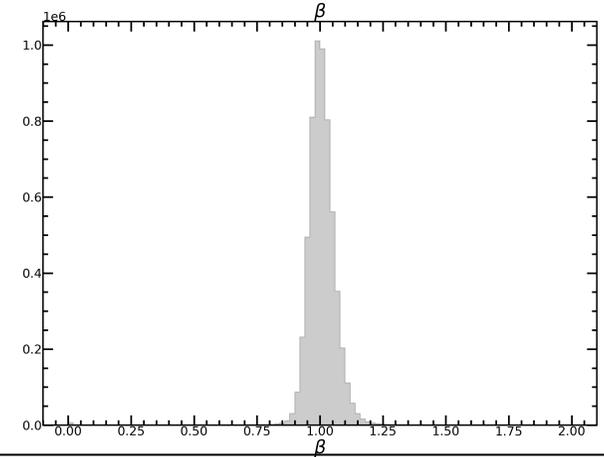
Analysis Status and Updates

- Detector calibrations done by A_n^1 and d_n^2 students

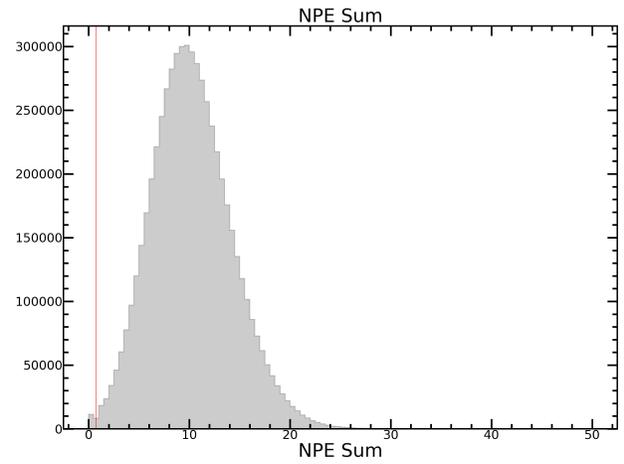
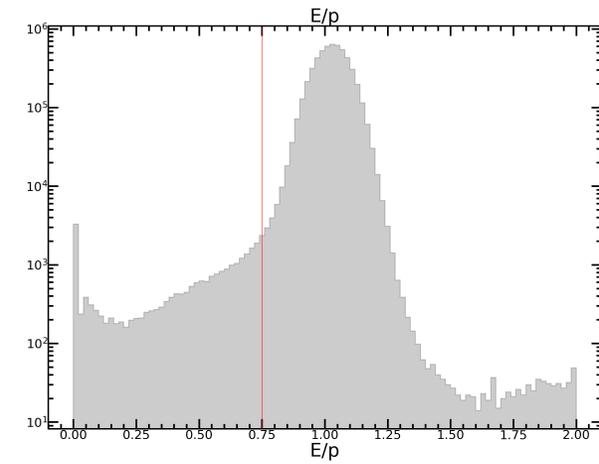
Analysis Status and Updates

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 - Hodoscope, Calorimeter, Cherenkov

Polarized ^3He



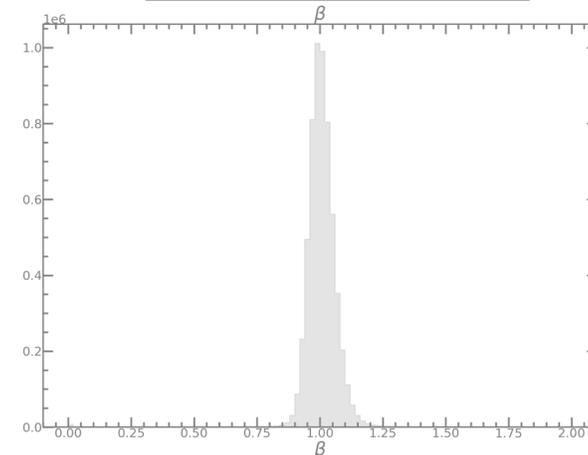
Junhao Chen, Mingyu Chen, Murchhana Roy, and Melanie Rehfuss



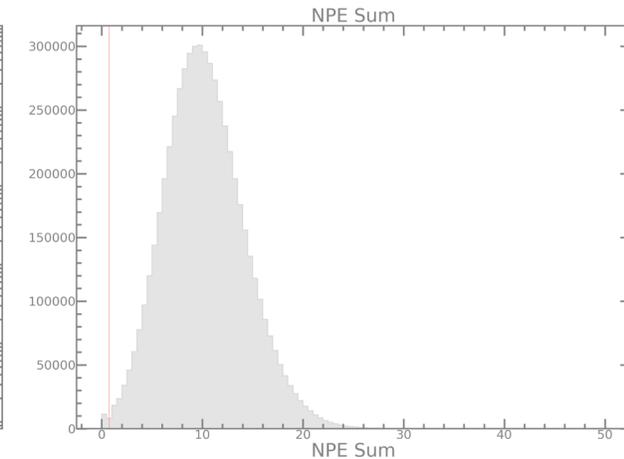
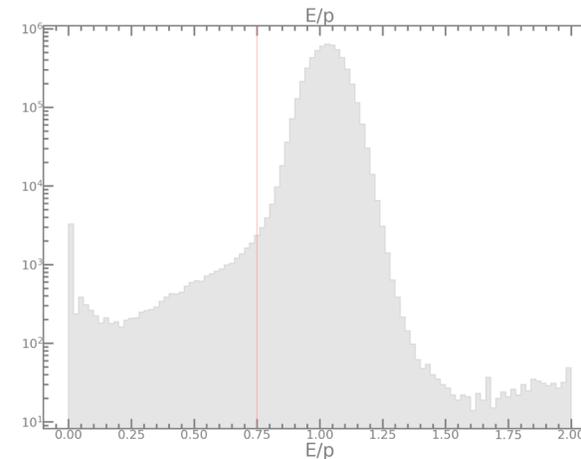
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- Benchmark Monte Carlo using carbon foil

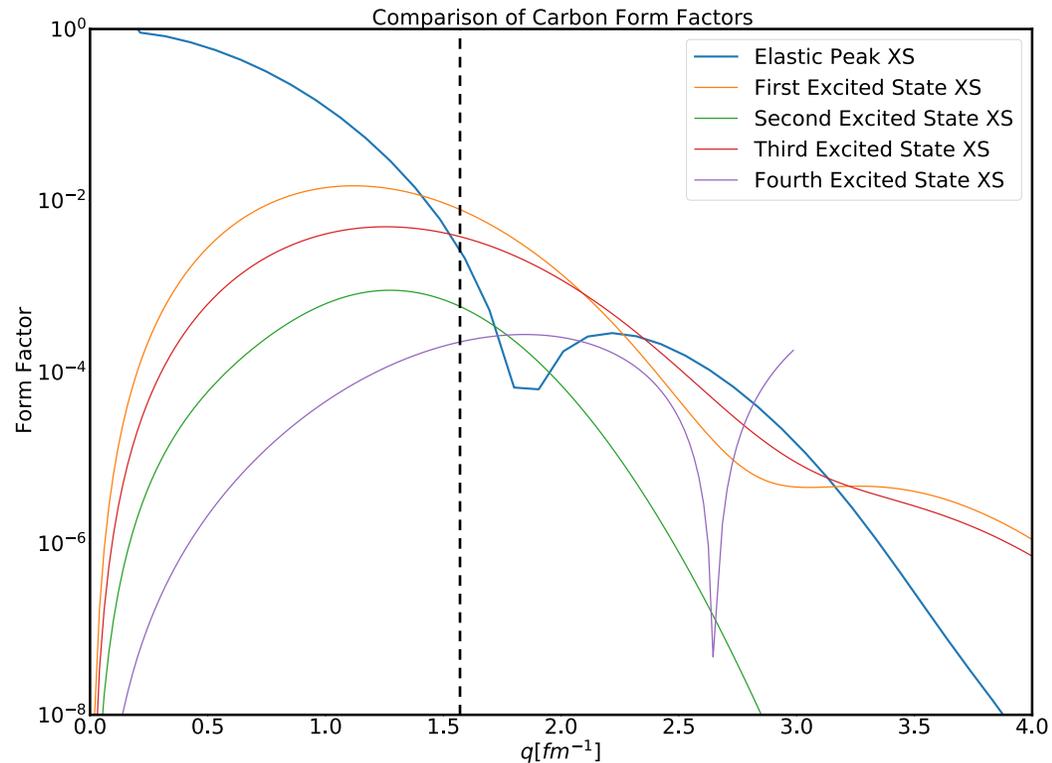
Polarized ^3He



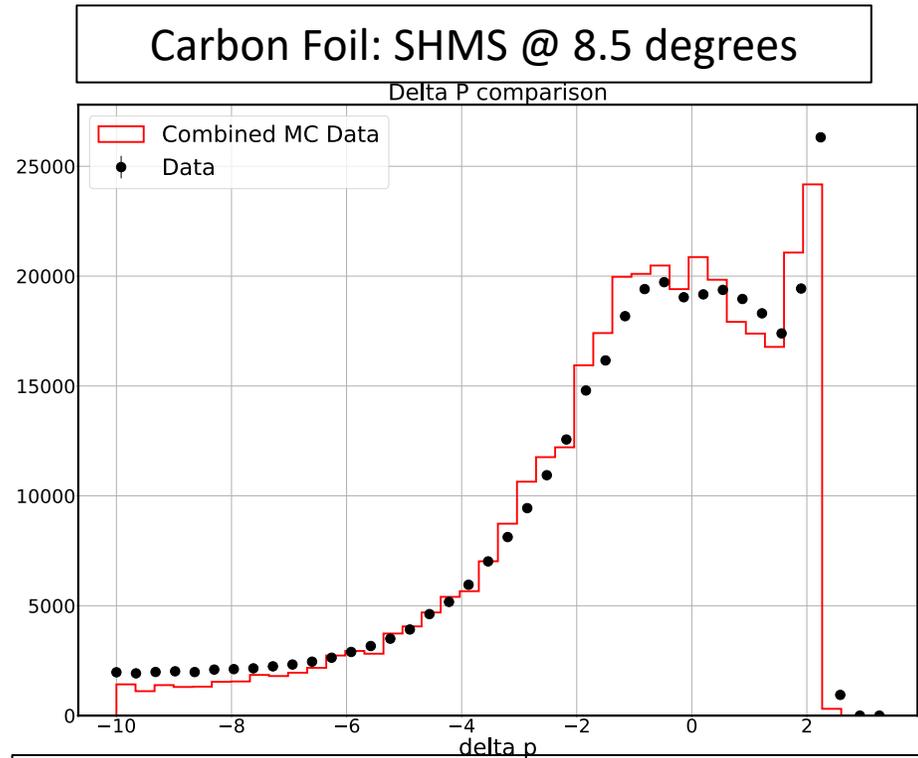
Junhao Chen, Mingyu Chen, Melanie Rehfuss, and Murchhana Roy



Carbon Foil



```
ff elas at 1.56 : 0.00327133
2+1 ff2 at 1.56 : 0.00806855
3-1 ff2 at 1.56 : 0.00385384
0p2 ff2 at 1.56 : 0.00065325
```

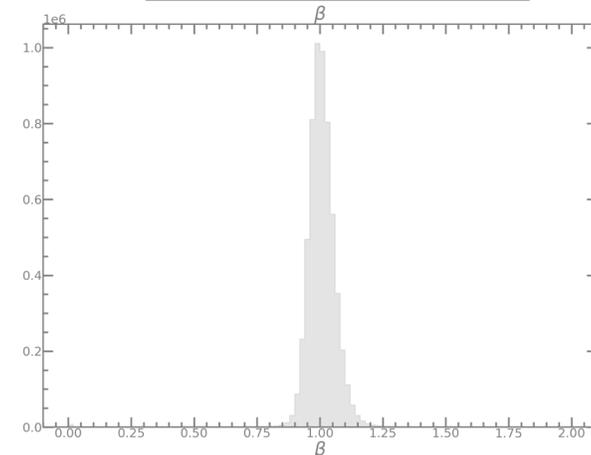


Thanks to Michael Paolone and the Coulomb Sum Rule experiment for the helpful suggestions

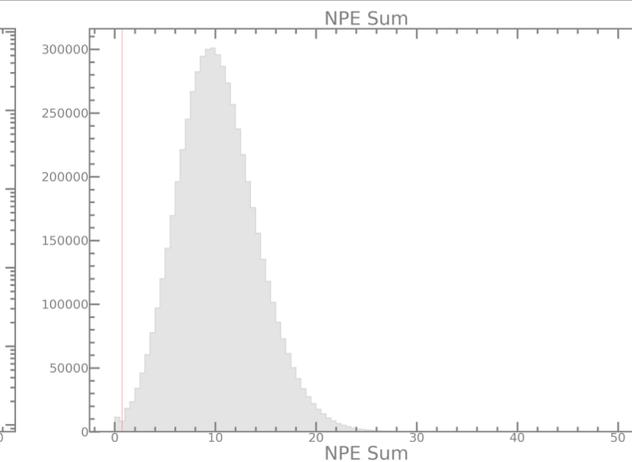
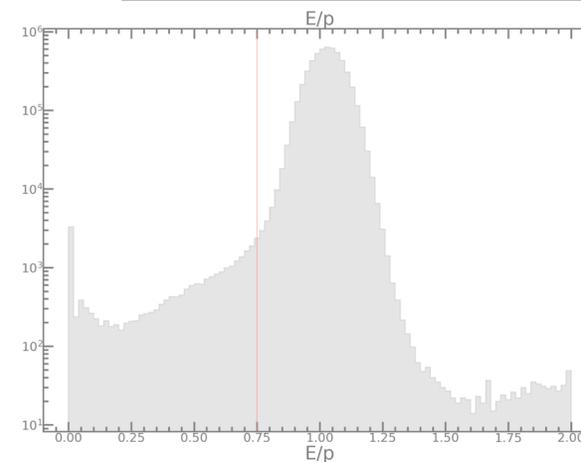
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- QE theory calculations

Polarized ^3He

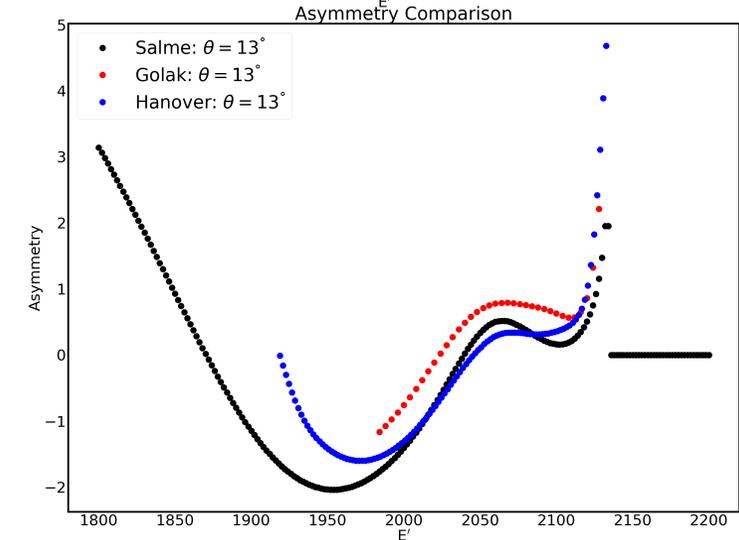
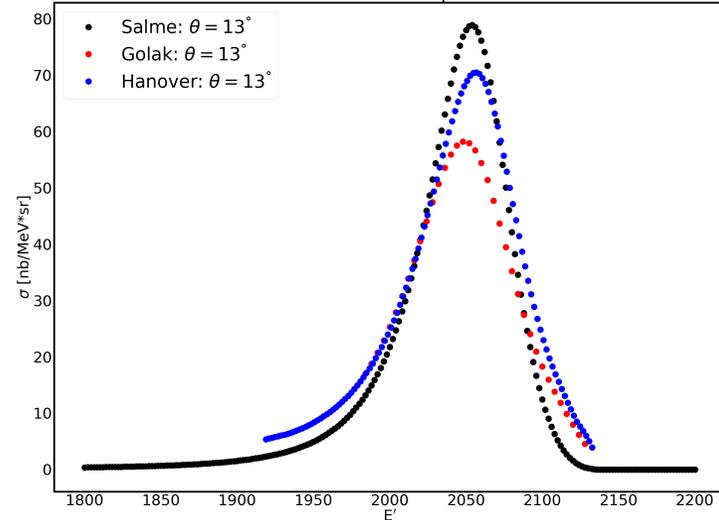
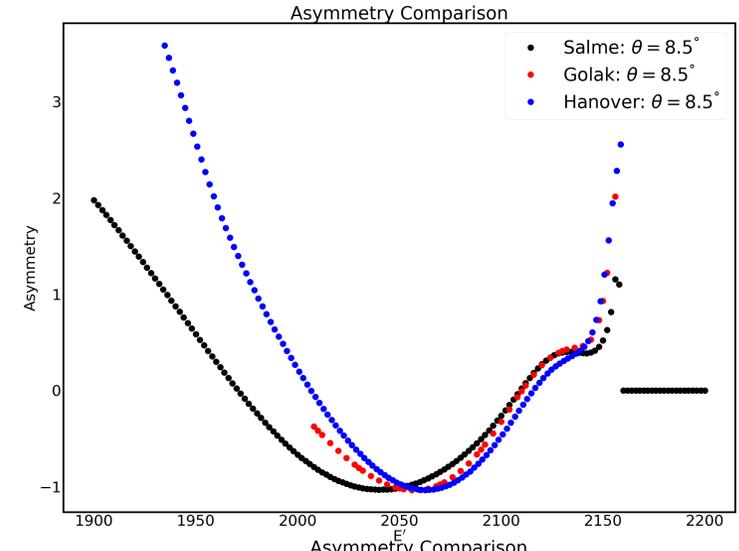
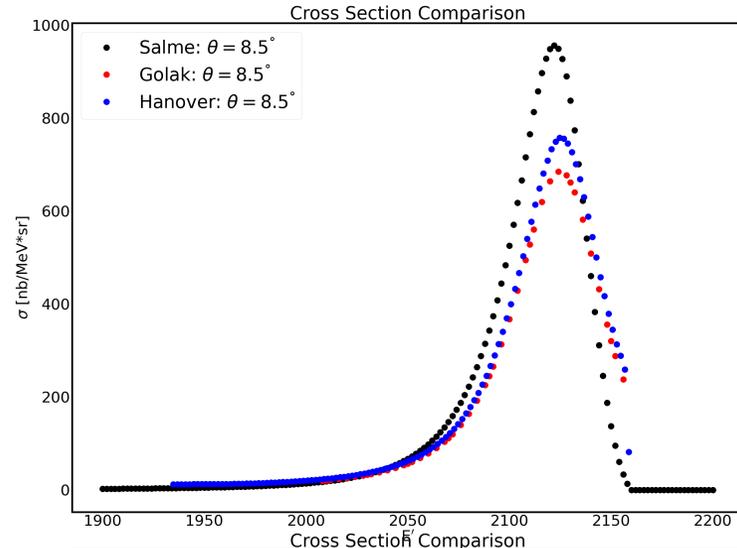


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Quasi-Elastic Theory

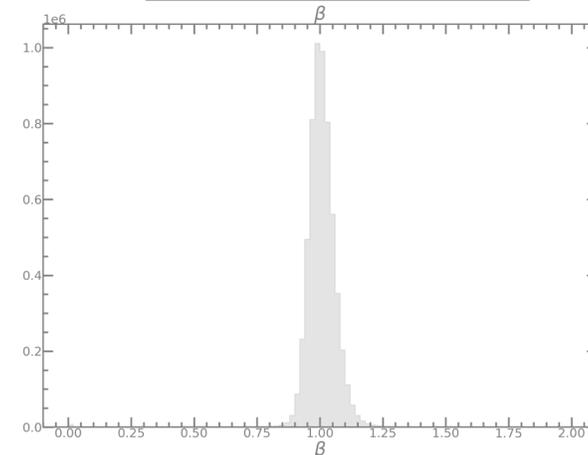
- Quasi-Elastic calculations from three groups
- Calculations cover kinematic settings



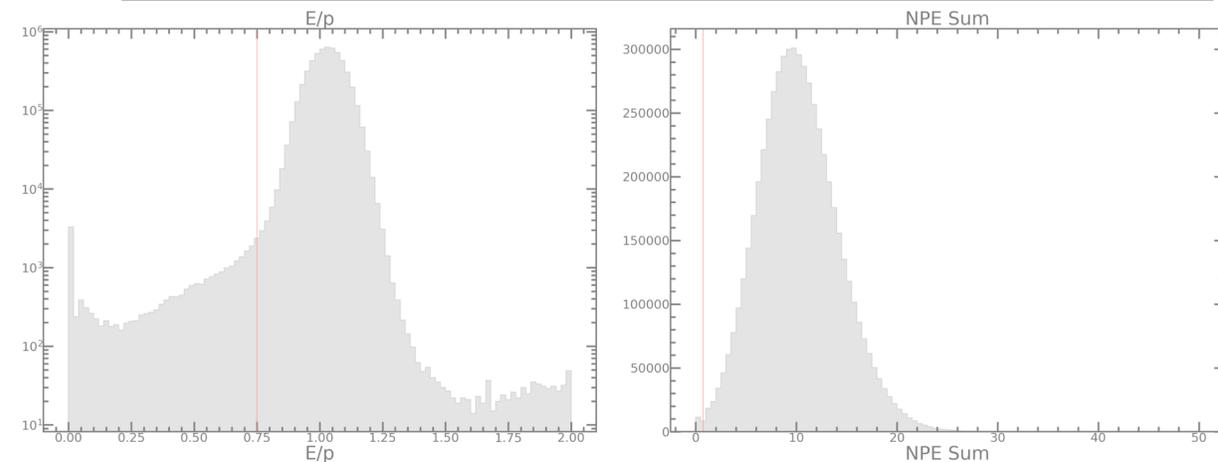
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 - Better treatment of target collimators to account to for “punch through” events
 - Account for a number of paddle configurations at each kinematic

Polarized ^3He



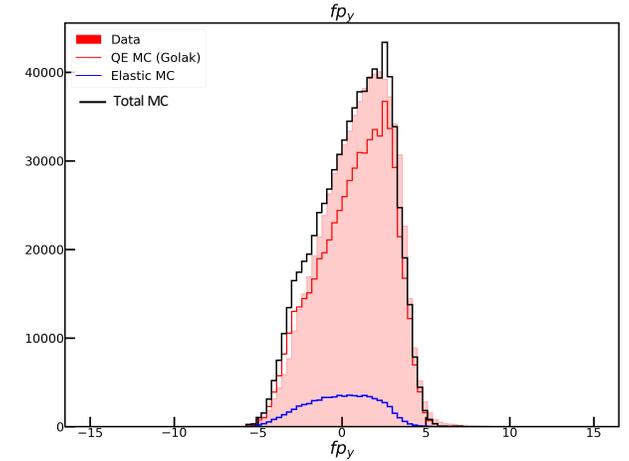
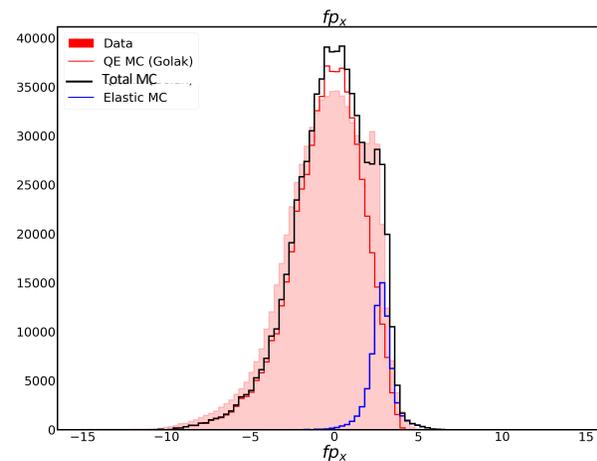
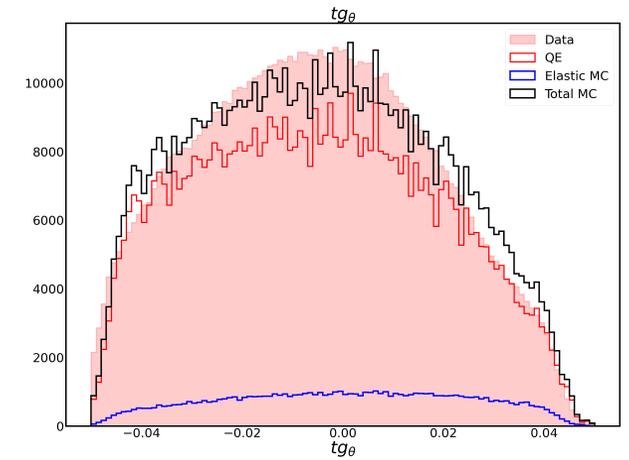
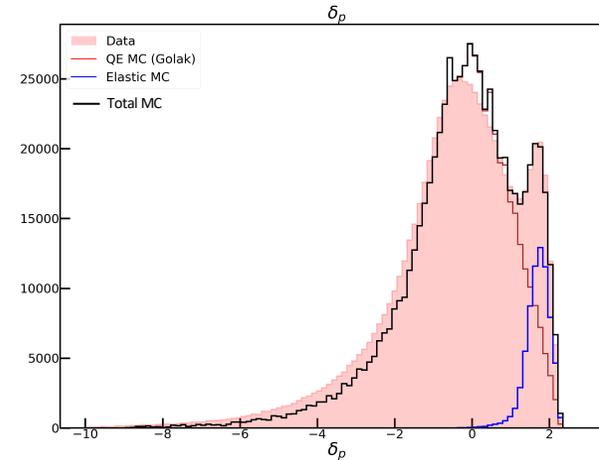
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Comparison of Data vs MC

- Observe an overall good agreement between data and MC at both SHMS settings
- Have checked both target and focal plane quantities
- In general, better agreement at 13.0° than 8.5°

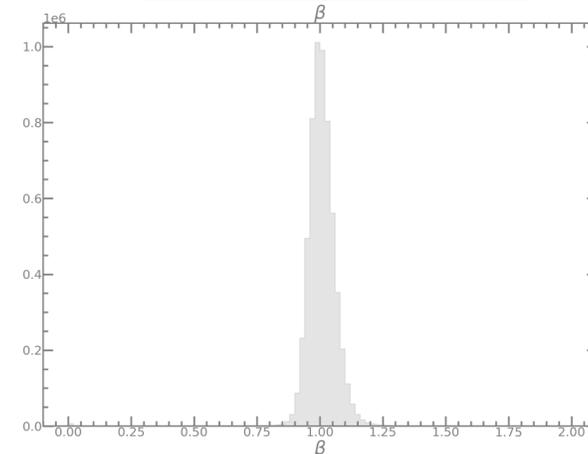
SHMS 8.5°



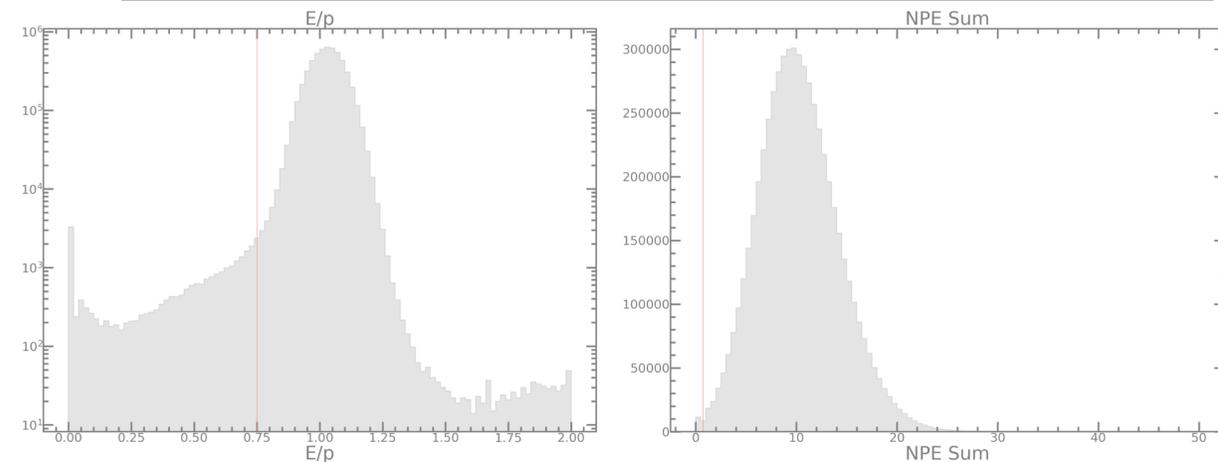
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 - Account for a number of paddle configurations at each kinematic
- **Preliminary asymmetry for SHMS**
 8.5° and 13°
 - But.... Final check of the synchronization of helicity dependent quantities
 - Results \rightarrow soon!

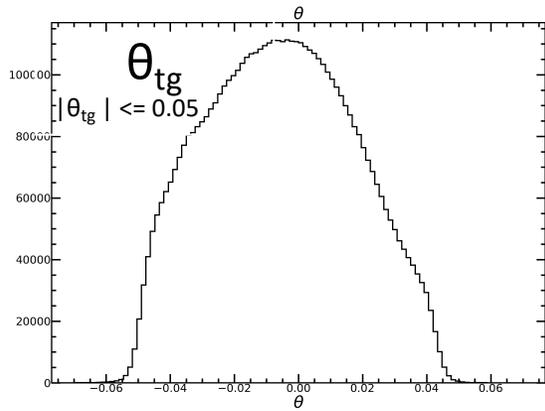
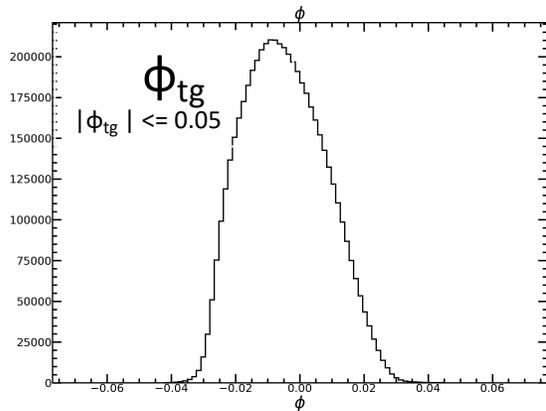
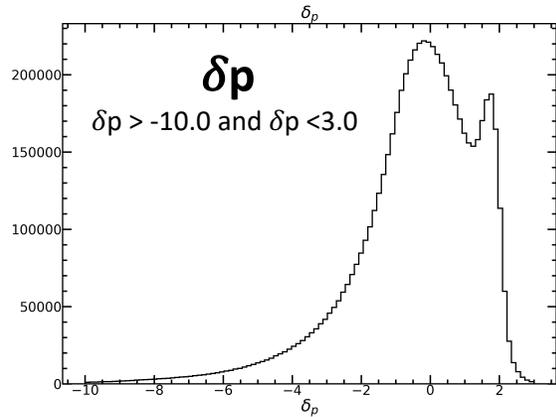
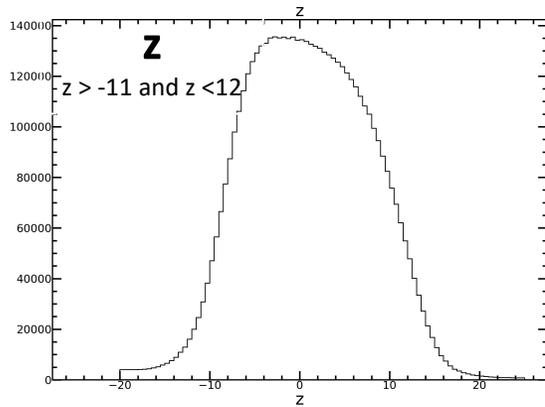
Polarized ^3He



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Analysis Cuts

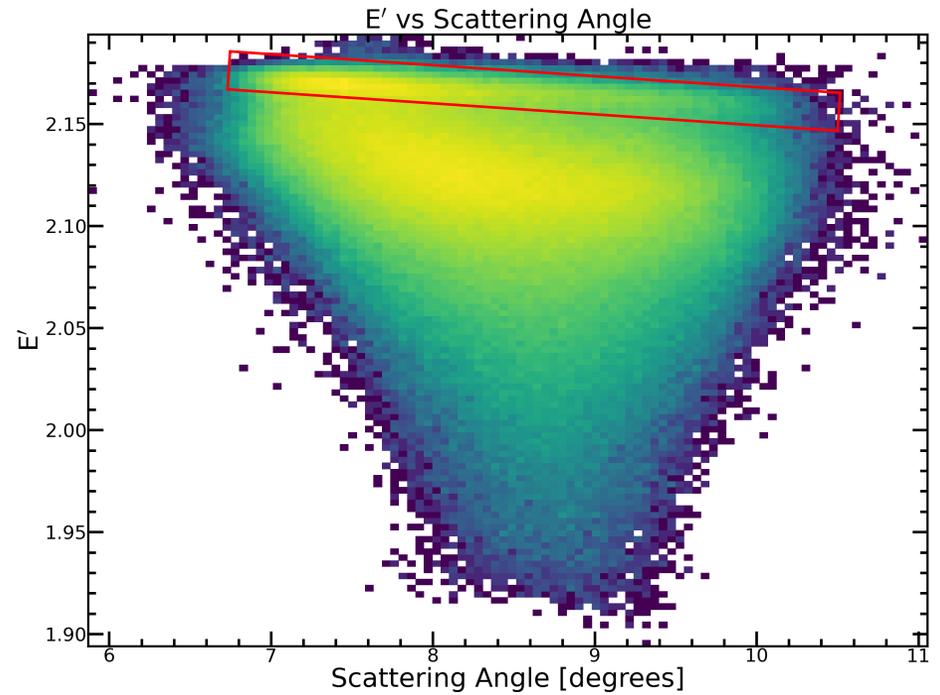


PID:

$E/p > 0.8$

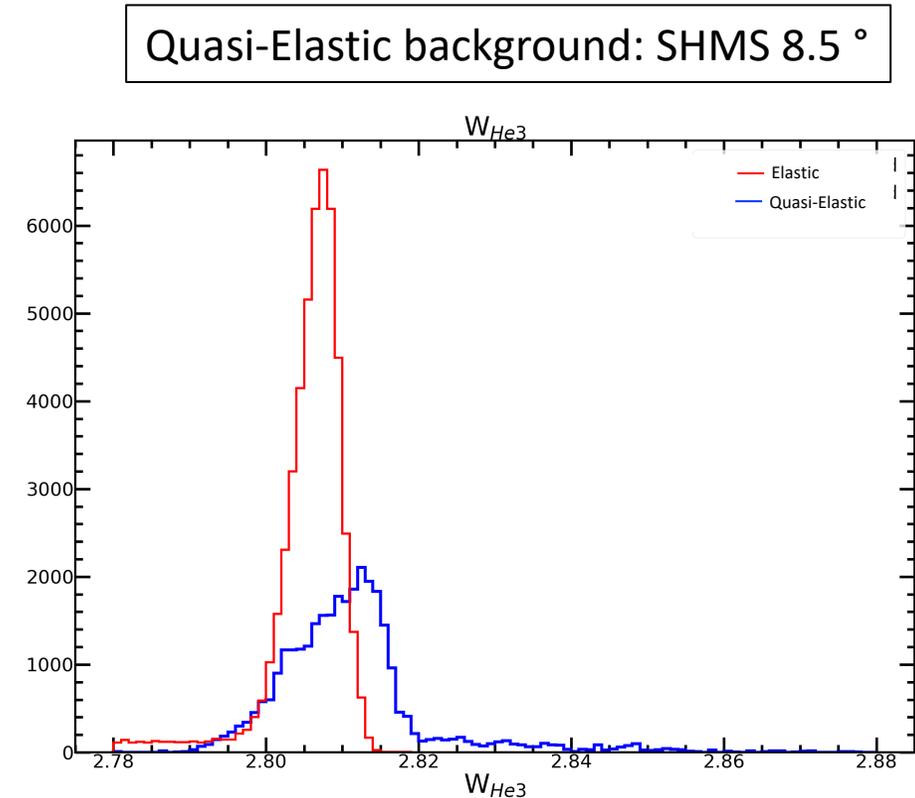
Cherenkov NPE Sum > 2.0

Separate Quasi-Elastic From Elastic Events



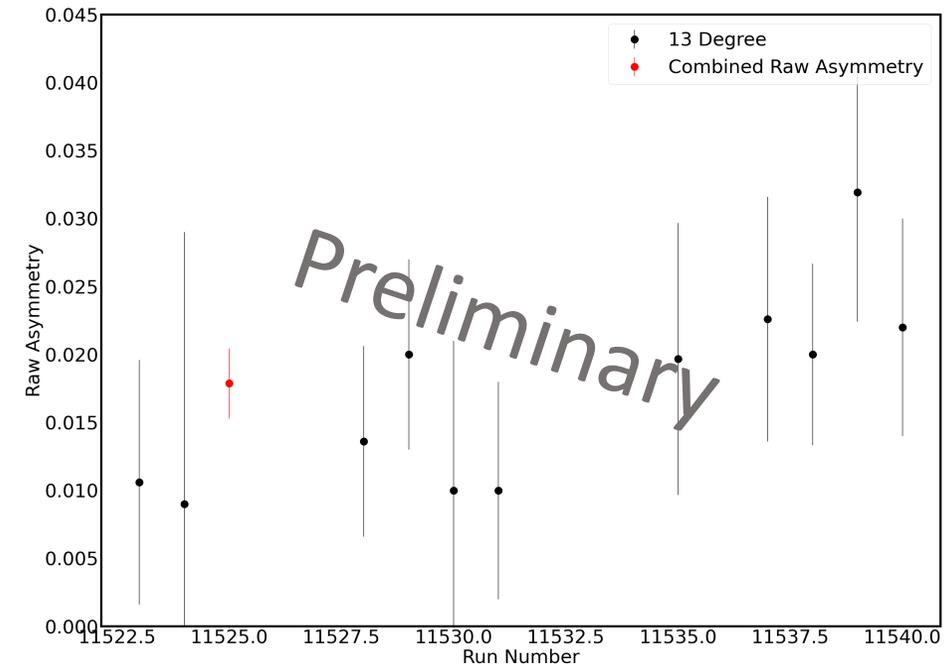
Asymmetry (In progress)

- $A_{\text{raw}} = \frac{Y^+ - Y^-}{Y^+ + Y^-}$
 - $Y^{+(-)}$ are the helicity dependent, charged normalized yields
 - $Y^{+(-)} = N^{+(-)} / Q^{+(-)} LT^{+(-)}$
 - Counts (N), charge (Q), and LT are helicity dependent
- Determine A_{phys} :
 - Beam and target polarization
 - QE background and dilutions
- $A_{\text{phys}} = \frac{A_{\text{raw}}}{P_b P_t} \left(\frac{1}{1 - d_{QE}} \right) - A_{QE} \left(\frac{d_{QE}}{1 - d_{QE}} \right)$
- d_{QE} : QE background



Summary

- The 8.5° and 13° (SHMS) settings have been (thoroughly) studied
- Have great theory support!
- Preliminary asymmetries for SHMS settings expected shortly
- Proof of principle



Measurement of ^3He Elastic Electromagnetic Form Factor
Diffractive Minima Using Polarization Observables

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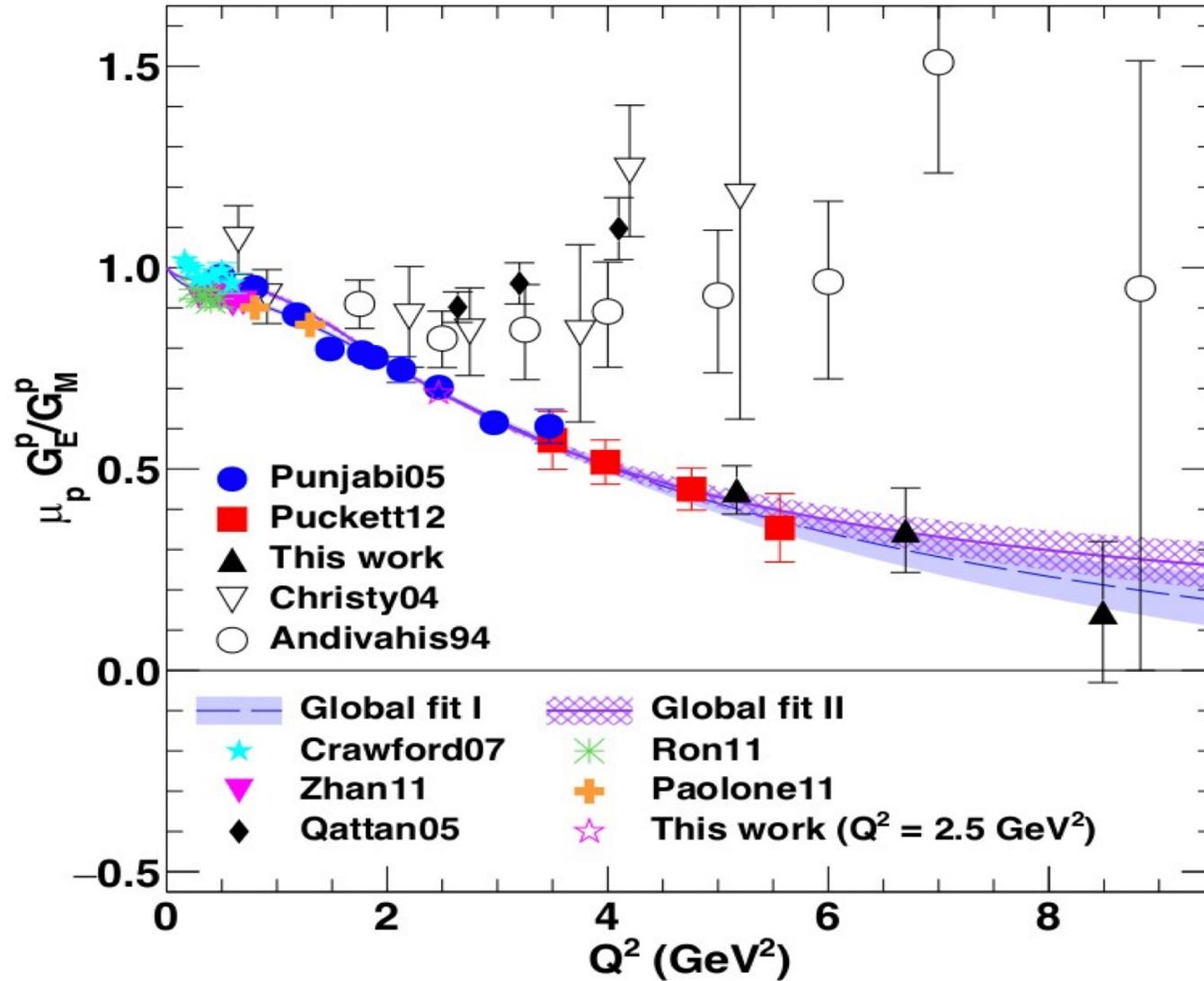
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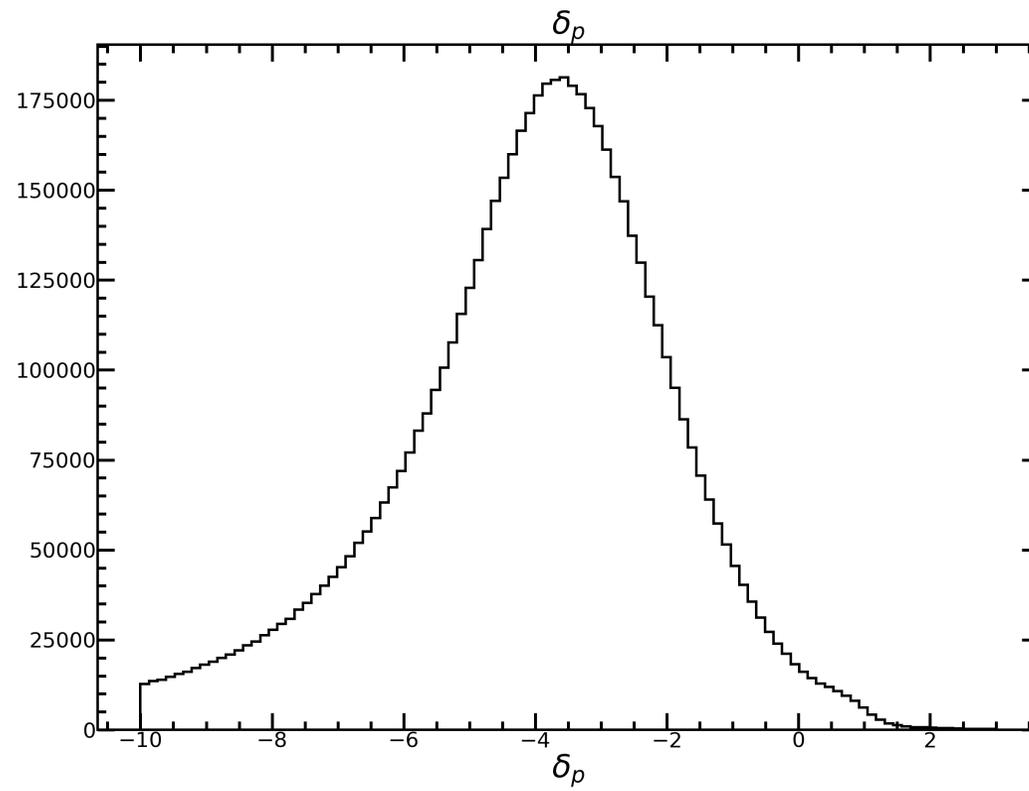
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d_2^n Collaboration

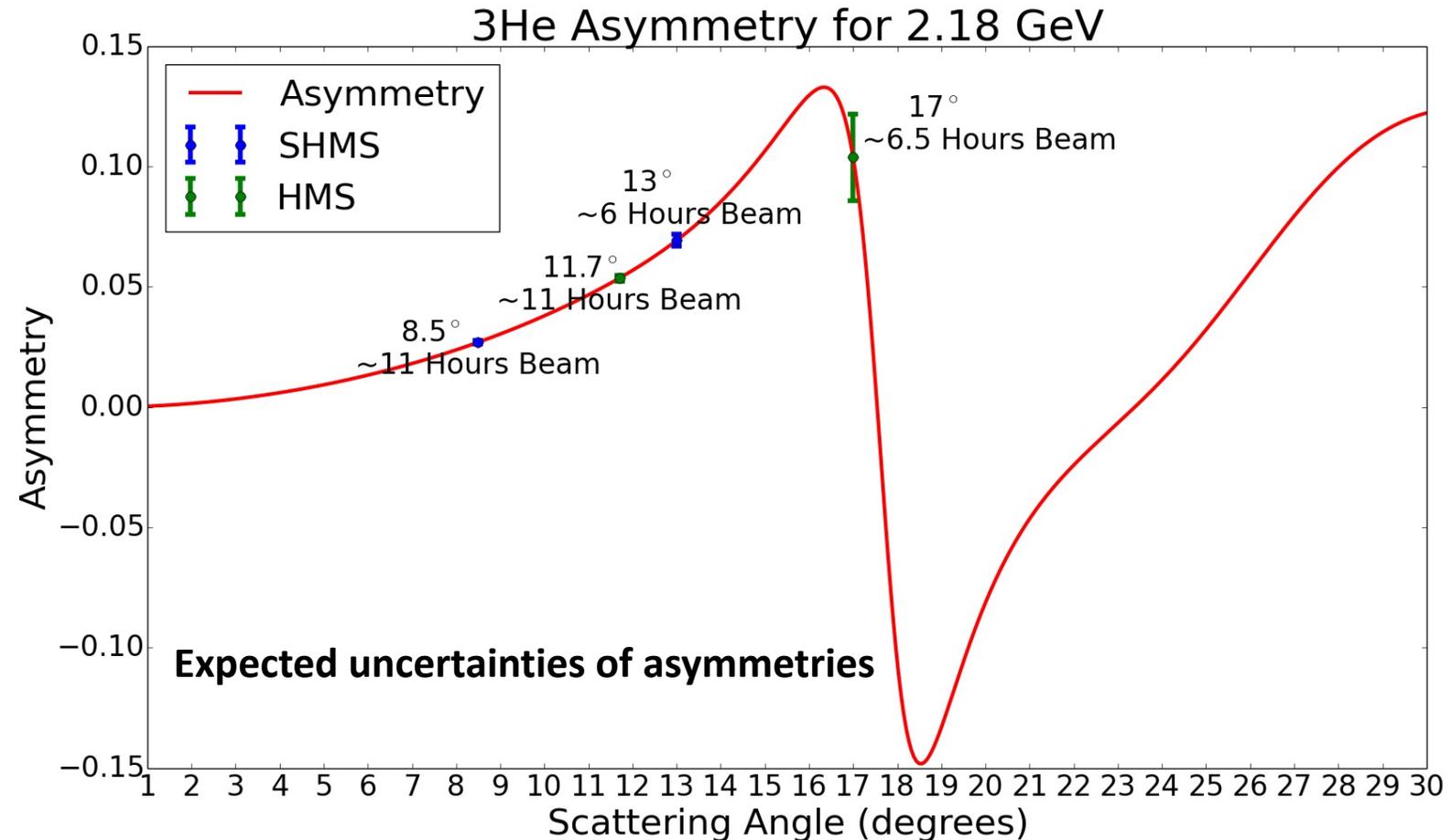
JLab Hall C GEP-III PRC 96, 055203 (2017)





Measured Kinematic Points

- Will provide further constraints to global fit and better determination of ^3He form factors
- Proof of principle



Monte Carlo and Data Comparison: Data Cuts

- SHMS (and HMS) carbon runs dominated by **quasi-elastic** events

- **PID:**

- $E/p > 0.8$ and $E/p < 2.0$
- Cherenkov NPE Sum > 1.0

- **δp**

- $\delta p > -10.0$ and $\delta p < 3.0$

- **Acceptance**

- $|\phi_{tg}| \leq 0.05$ and $|\theta_{tg}| \leq 0.05$

- **z**

- $|z| < 12$

- Scale factor: $\mathcal{L}_{\text{data}} / \mathcal{L}_{\text{MC}} = \frac{(6.02e-10) * L_{tg} * \rho * Q}{(1.602e-13) * A} / \frac{N_{gen}}{\Delta E \Delta \Omega}$

L_{tg} = target length

ρ = target density

Q = total charge

N_{gen} = # generated events

$\Delta E \Delta \Omega$ = phase space