

# Updates on the $\eta$ and $\omega$ Hadronization Analysis

A. Bórquez<sup>a</sup>, O. Soto<sup>b</sup>, H. Hakobyan<sup>a</sup>, M. H. Wood<sup>c</sup>, T. Mineeva<sup>a</sup>, and W. K. Brooks<sup>a</sup>

<sup>a</sup>*Universidad Técnica Federico Santa María, Valparaíso, Chile*

<sup>b</sup>*Istituto Nazionale di Fisica Nucleare, Frascati, Italy*

<sup>c</sup>*Canisius College, Buffalo, NY, United States*

June 3, 2021



# Outline

## I. Introduction

1. Hadronization
2. Semi-Inclusive Deep-Inelastic Scattering
3. Multiplicity Ratio

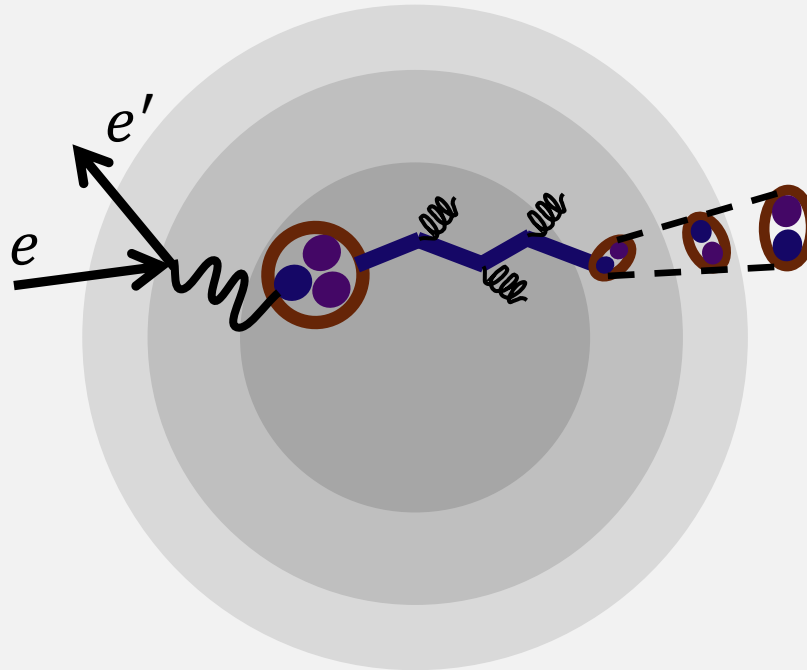
## II. The EG2 experiment

## III. Data Analysis

1.  $\eta \rightarrow \gamma\gamma$  Reconstruction
2.  $\omega \rightarrow \pi^+\pi^-\pi^0$  Reconstruction

## IV. Results and Discussion

**Hadronization** is the formation of quarks and gluons into hadrons. **But how do nuclei of different sizes impact on this process?**



# Semi-Inclusive Deep-Inelastic Scattering (SIDIS)

**Semi-Inclusive Deep-Inelastic Scattering (SIDIS)** is the experimental process that allows to extract information about the quarks and gluons inside the proton.

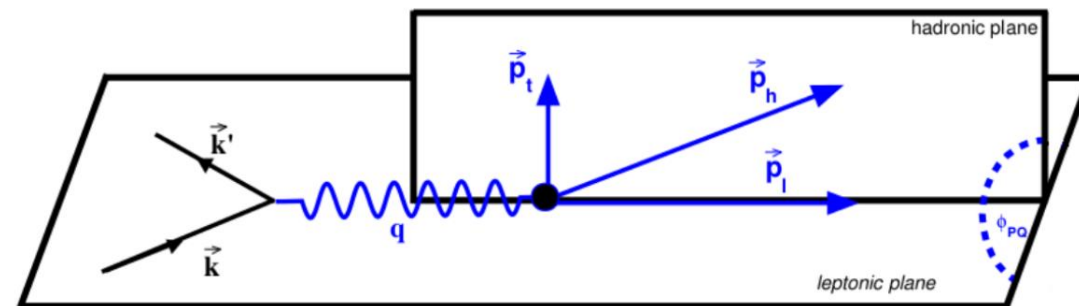
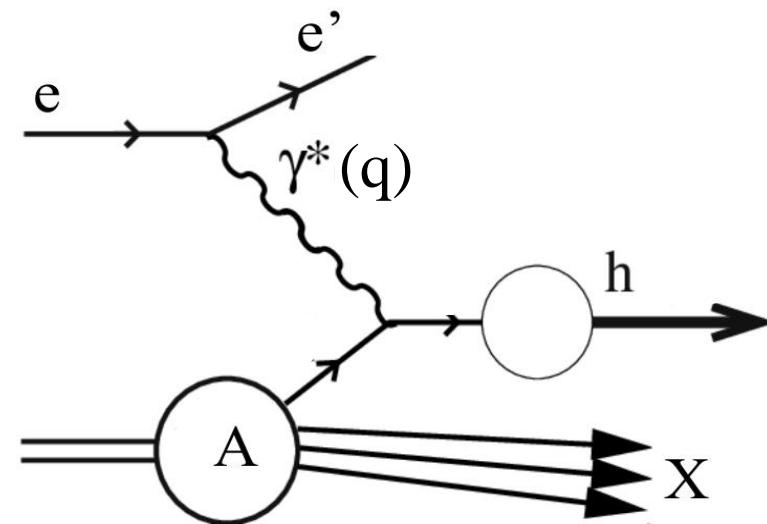
$$e(k) A(p) \rightarrow e'(k') h(p_h) X$$

Electron variables:

- $Q^2 \equiv -q^2 \xrightarrow{lab} 4 E_b E' \sin^2(\theta/2)$  : virtuality of the probe electron.
- $\nu = \frac{p \cdot q}{M} \xrightarrow{lab} E_b - E'$  : energy transferred from the electron to the target.

Hadron variables:

- $z_h = \frac{p \cdot p_h}{p \cdot q} \xrightarrow{lab} \frac{E_h}{\nu}$  : fraction of the virtual photon energy carried by the produced hadron.
- $p_T^2 = p_h^2 (1 - \cos \theta_{PQ})$  : transversal momentum of the hadron w.r.t. the virtual photon direction.



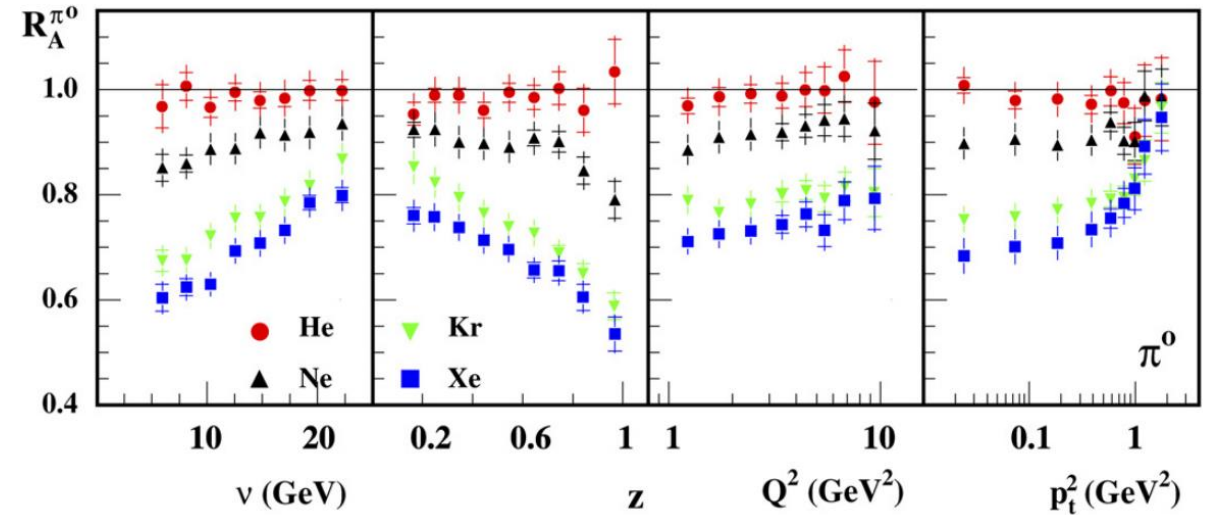
# Multiplicity Ratio

The experimental **observable** to measure is the **Multiplicity Ratio**  $R_A^h$  observed in the scattering of a nucleus ( $A$ ) to those on the deuteron ( $D$ ):

$$R_A^h(Q^2, \nu, z_h, p_T^2) \equiv \frac{\left( \frac{N_h(Q^2, \nu, z_h, p_T^2)}{N_e^{DIS}(Q^2, \nu)} \right)_A}{\left( \frac{N_h(Q^2, \nu, z_h, p_T^2)}{N_e^{DIS}(Q^2, \nu)} \right)_D},$$

where:

- $N_h$  is the number of semi-inclusive hadrons  $h$  in a given  $(Q^2, \nu, z, p_T^2)$  bin.
- $N_e^{DIS}$  the number of inclusive inclusive **DIS** electrons in the same  $(Q^2, \nu)$  bin.

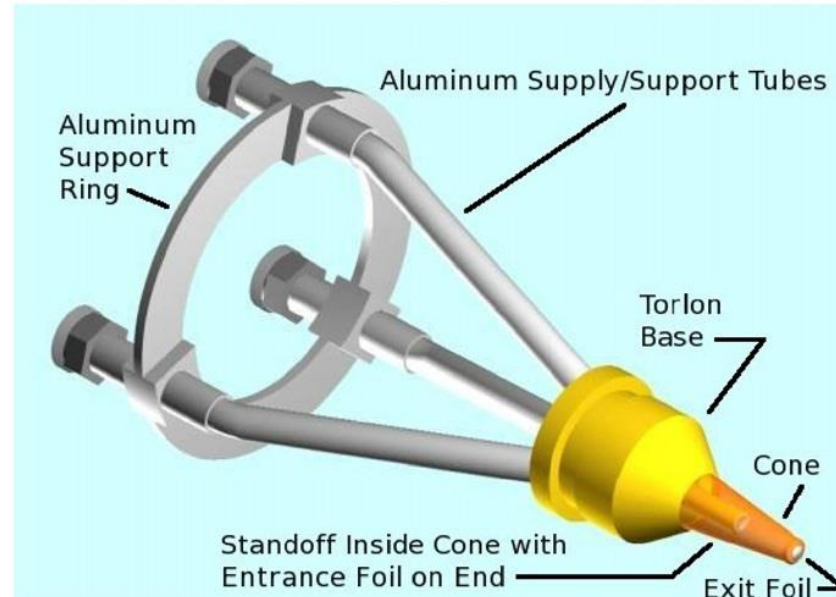
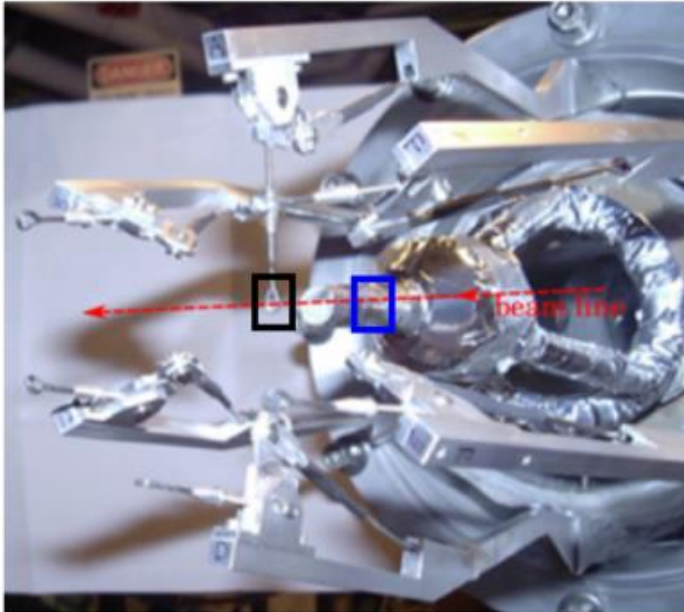


**HERMES Collaboration. Nucl. Phys. B 780 (2007)**

# The EG2 Experiment

This experiment consisted of a 5 GeV electron beam incident on a double-target system where the beam passed through a **liquid target  $D$  (Deuterium)** and a **solid heavy target  $A$  ( $C, Fe, Pb$ )** simultaneously positioned in the **beam line**.



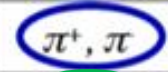


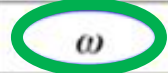
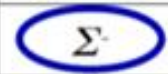

Main features: same luminosity for different nuclei, and reduction of systematic uncertainties.



# The Program of the EG2 Experiment

DIS channels: *stable* hadrons, accessible with 11 GeV  
JLab experiment PR12-06-117

 Actively underway with existing 5 GeV data

	<i>meson</i>	<i>cτ</i>	<i>mass</i>	<i>flavor content</i>	<i>baryon</i>	<i>cτ</i>	<i>mass</i>	<i>flavor content</i>	
3-dimensional MR ←	 $\pi^0$	25 nm	0.13	$u\bar{u}d\bar{d}$	 $p$	stable	0.94	$ud$	→ 3-dimensional MR
4-dimensional MR ←	 $\pi^+, \pi^-$	7.8 m	0.14	$u\bar{d}, d\bar{u}$	$\bar{p}$	stable	0.94	$\bar{u}\bar{d}$	
1-dimensional MR ←	 $\eta$	170 pm	0.55	$u\bar{u}d\bar{d}s\bar{s}$	 $\Lambda$	79 mm	1.1	$uds$	→ 1-dimensional MR
1-dimensional MR ←	 $\omega$	23 fm	0.78	$u\bar{u}d\bar{d}s\bar{s}$	$\Lambda(1520)$	13 fm	1.5	$uds$	
	$\eta'$	0.98 pm	0.96	$u\bar{u}d\bar{d}s\bar{s}$	$\Sigma^+$	24 mm	1.2	$us$	
	$\phi$	44 fm	1.0	$u\bar{u}d\bar{d}s\bar{s}$	 $\Sigma^-$	44 mm	1.2	$ds$	
	$f_1$	8 fm	1.3	$u\bar{u}d\bar{d}s\bar{s}$	$\Sigma^0$	22 pm	1.2	$uds$	
1-dimensional MR ←	 $K^0$	27 mm	0.50	$d\bar{s}$	$\Xi^0$	87 mm	1.3	$us$	
	$K^+, K^-$	3.7 m	0.49	$u\bar{s}, \bar{u}s$	$\Xi^-$	49 mm	1.3	$ds$	



# Comparison of particles

Particle	$\pi^0$	$\eta$	$\omega$
Charge	0	0	0
Type of meson	Pseudoscalar	Pseudoscalar	Vector
Mass	$\sim 0.135 \text{ GeV}$	$\sim 0.548 \text{ GeV}$	$\sim 0.782 \text{ GeV}$
Mean lifetime	$\sim 10^{-17} \text{ s}$	$\sim 10^{-19} \text{ s}$	$\sim 10^{-23} \text{ s}$
Quark content	$u\bar{u} - d\bar{d}$	$u\bar{u} + d\bar{d} - 2s\bar{s}$	$u\bar{u} + d\bar{d}$
Decay channels	$\pi^0 \rightarrow \gamma\gamma \text{ (99\%)}$	$\eta \rightarrow \gamma\gamma \text{ (39\%)}$ $\eta \rightarrow \pi^0\pi^0\pi^0 \text{ (33\%)}$ $\eta \rightarrow \pi^+\pi^-\pi^0 \text{ (23\%)}$	$\omega \rightarrow \pi^+\pi^-\pi^0 \text{ (89\%)}$ $\omega \rightarrow \pi^0\gamma \text{ (8\%)}$

This analysis corresponds to the world's first study on the hadronization of the  $\eta$  and  $\omega$  meson.



# Overview of cuts

## Particle Identification

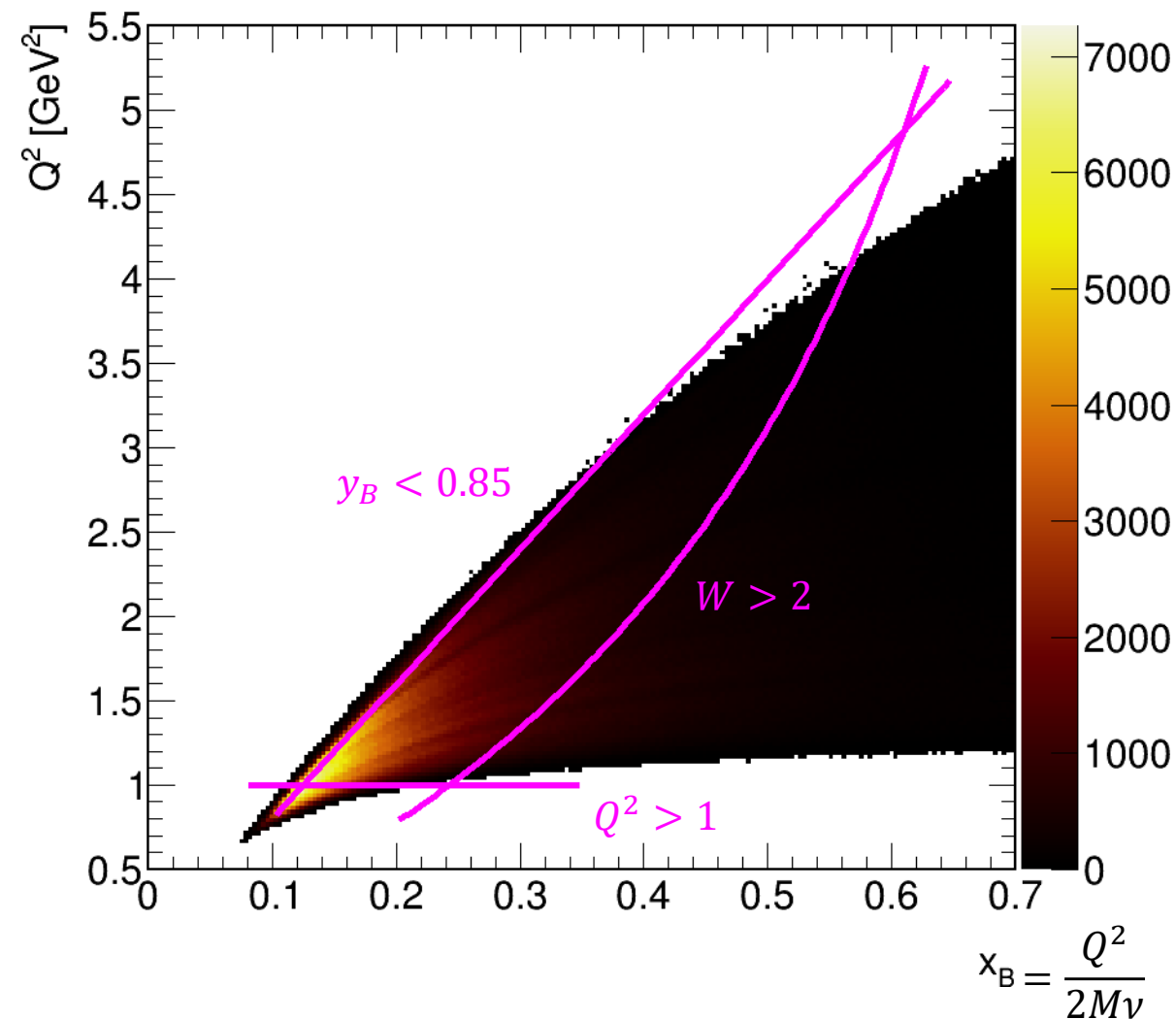
- Electrons,  $\pi^+$  and  $\pi^-$  ID are based on **S. Morán et al. CLAS Analysis Note (2021)**
- Photons ID is based on **T. Mineeva. CLAS Analysis Note (2020)**

## Target Identification

Based on position of solid and liquid targets, done through electron vertex cuts.

## Kinematical Region

- $Q^2 > 1 \text{ GeV}^2$ , necessary virtuality to probe nucleon substructure.
- $W > 2 \text{ GeV}$ , to avoid contamination from resonance region.
- $y_B = \nu/E_b < 0.85$ , to reduce size of radiative effects.



# Reconstruction of the $\eta$ meson

## Decay channel: $\eta \rightarrow \gamma\gamma$

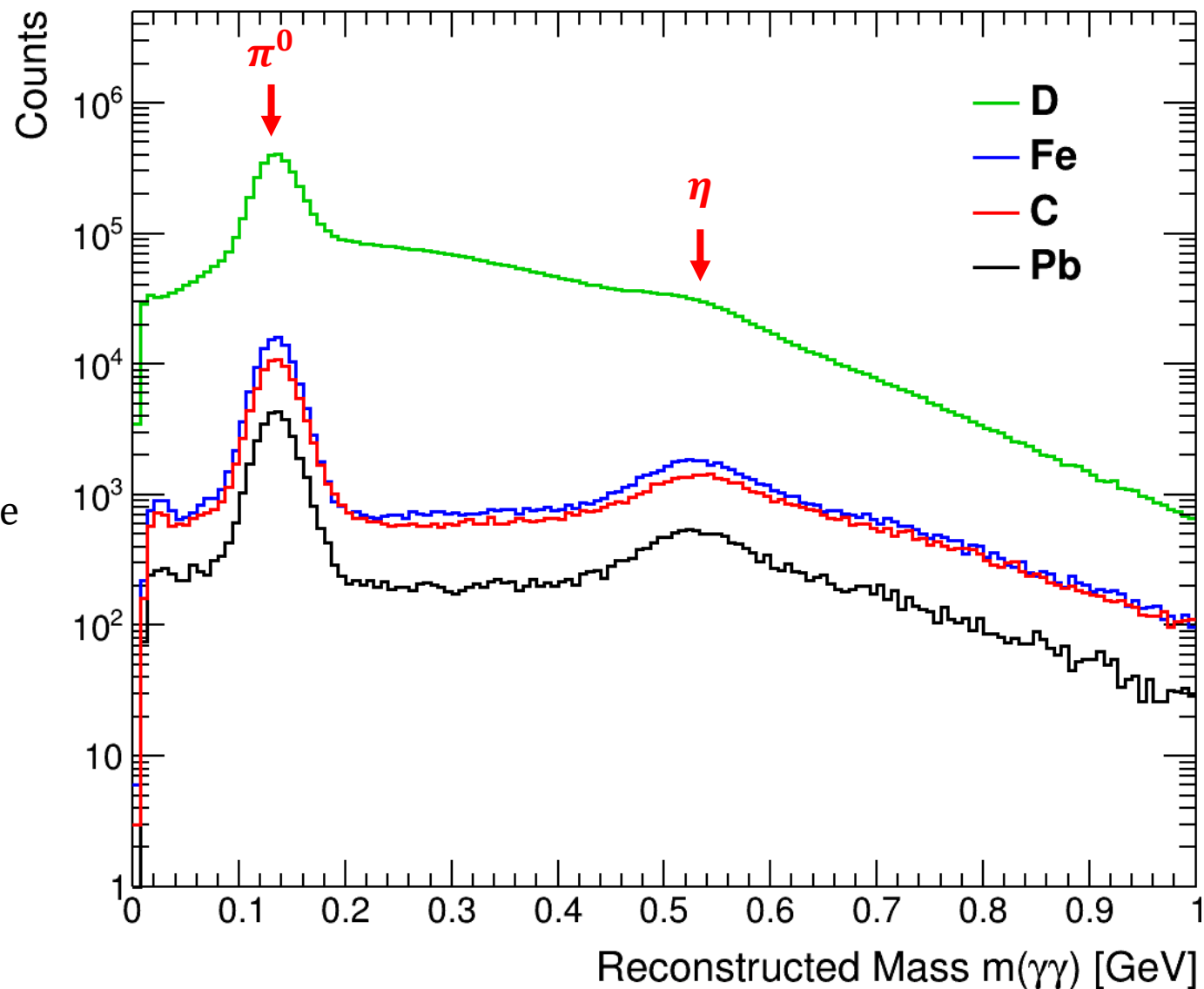
- Select all the events that have **at least 2 $\gamma$**  in their final state.
- Store all combinations ( **$\eta$  candidates**). The total number of  $\omega$  candidates per event is given by

$$N_{\eta}^{comb} = \binom{N_{\gamma}}{2}$$

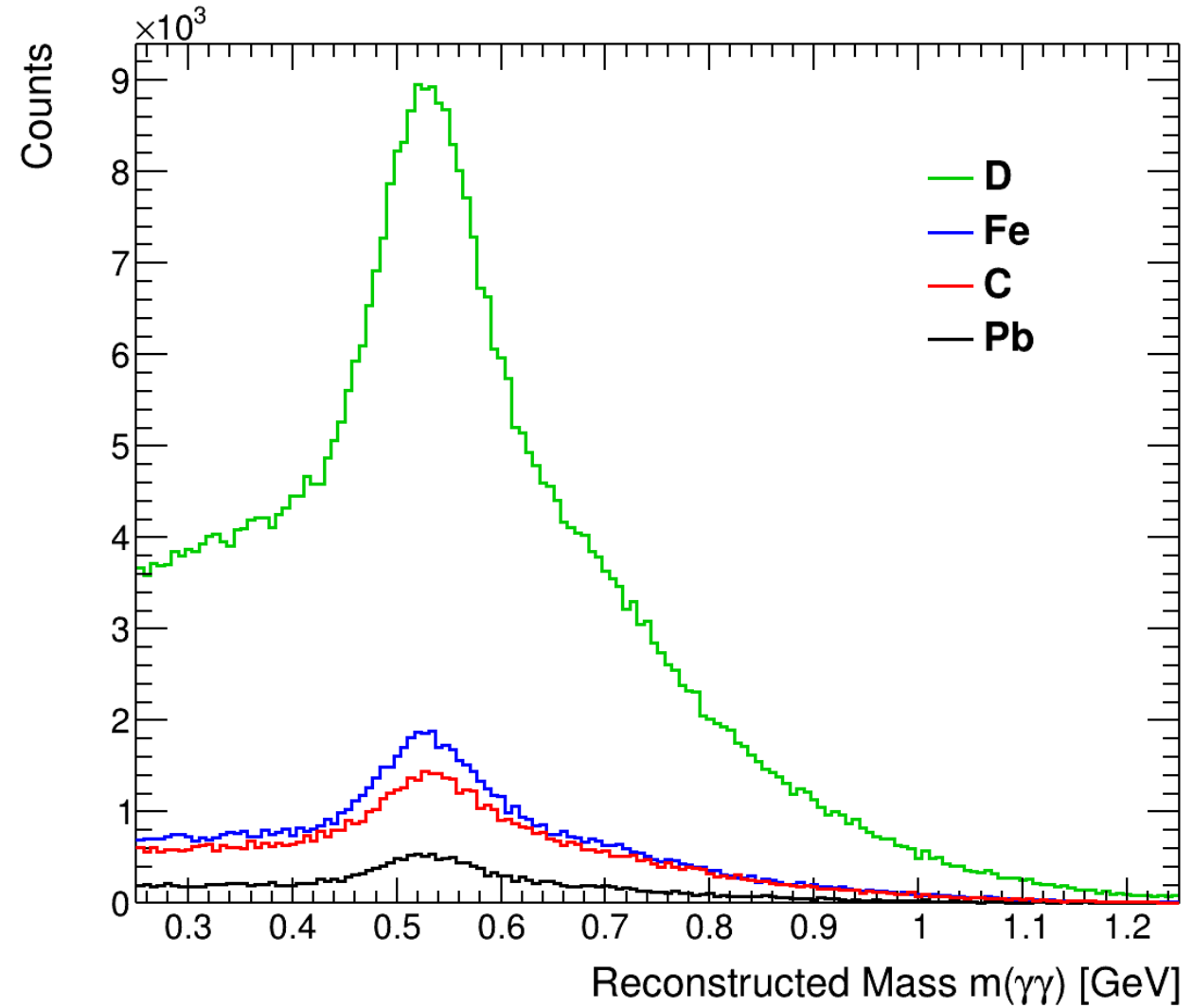
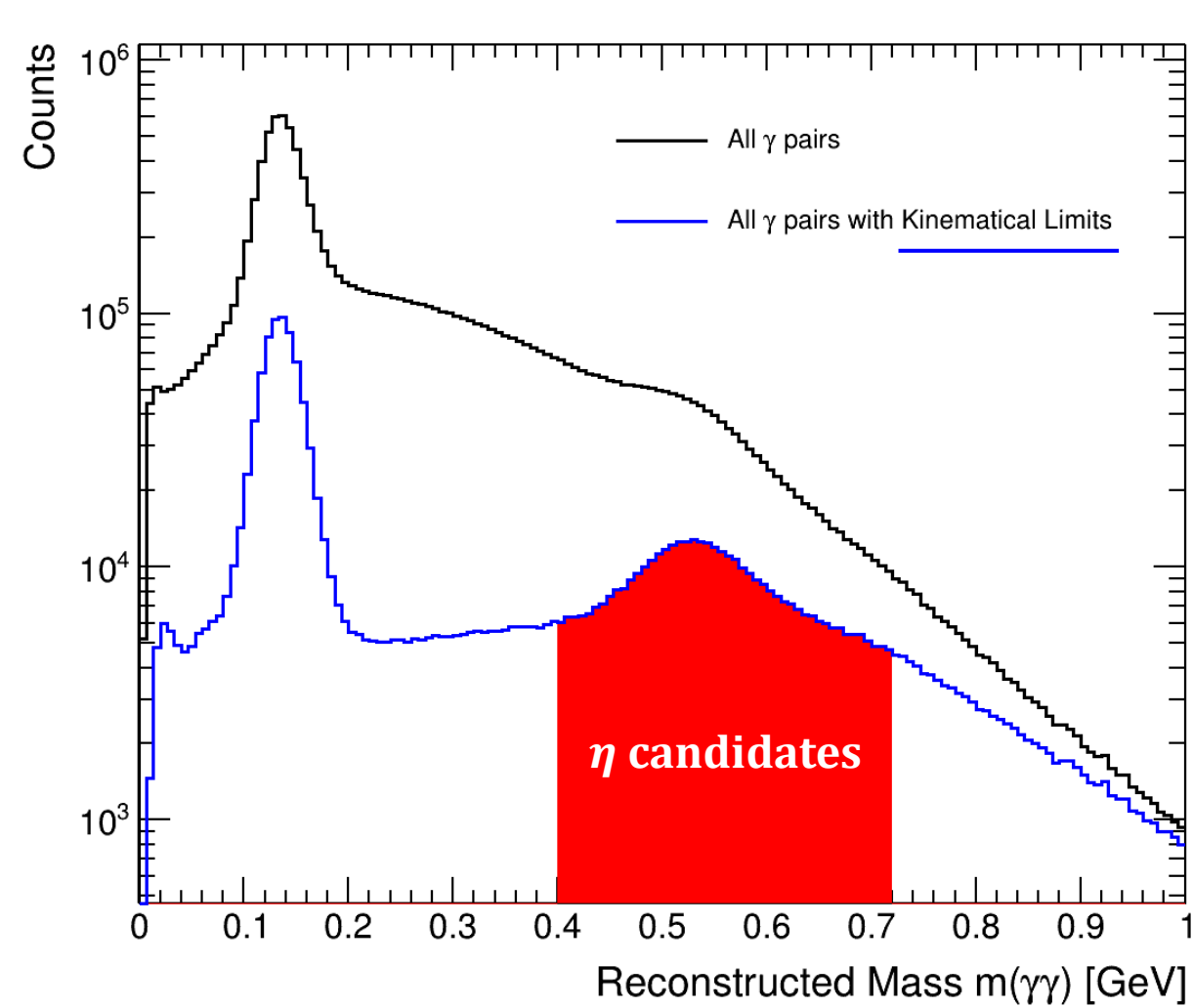
- Reconstruct the mass of the  $\eta$  meson as a 2-particle system,

$$p_{\gamma\gamma} = p_{\gamma_1} + p_{\gamma_2}$$

$$m(\gamma\gamma) = \sqrt{E^2(\gamma\gamma) - |\vec{p}|^2(\gamma\gamma)}$$



# Reconstruction of the $\eta$ meson (2)



# Kinematical Limits & Binning

Kinematical limits:

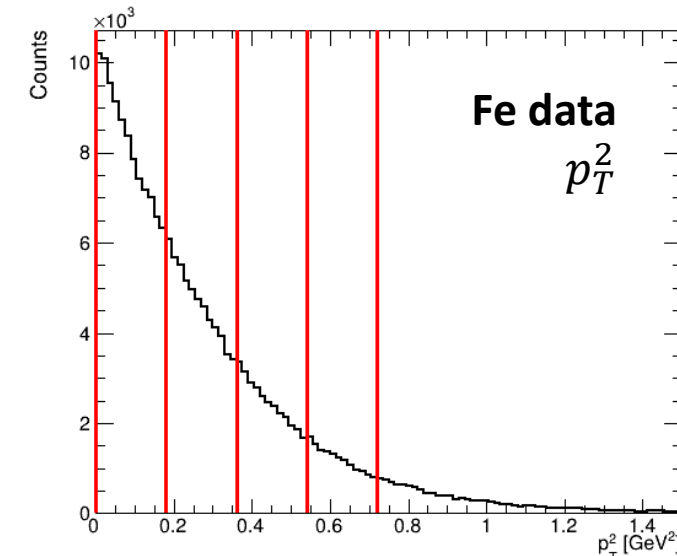
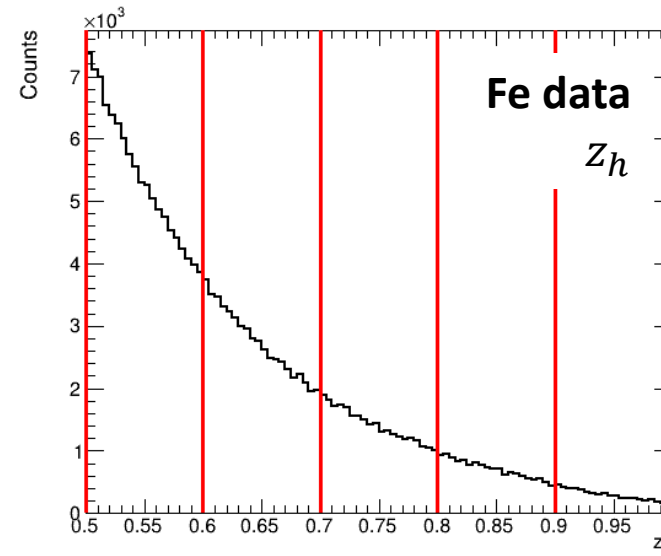
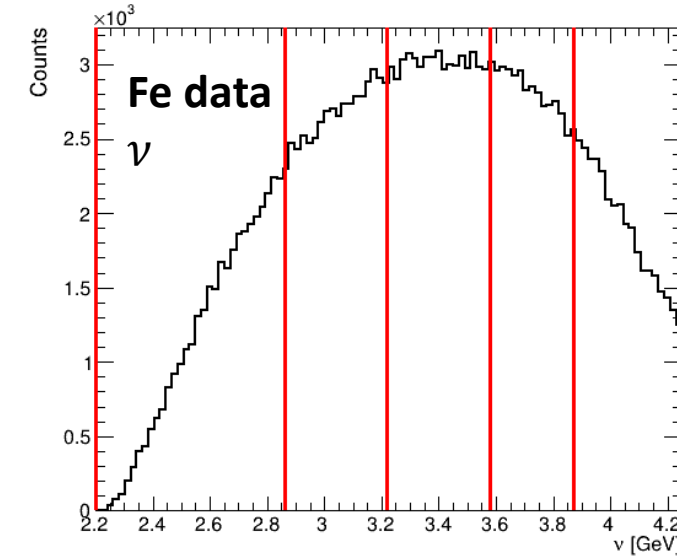
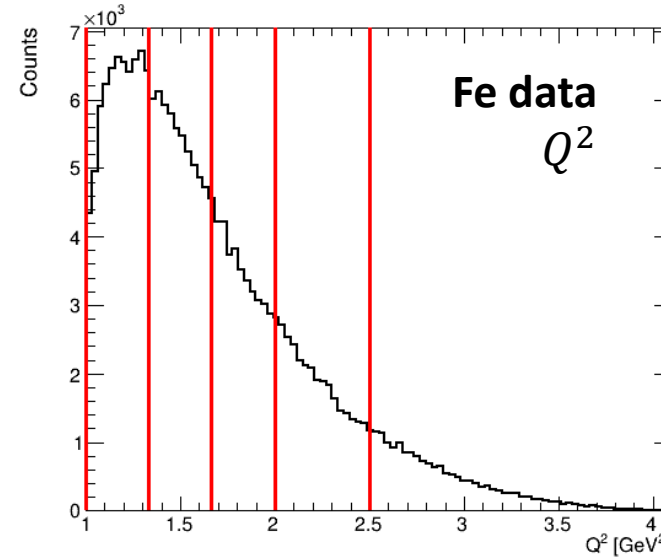
$$1.0 < Q^2 < 4.1 \text{ GeV}^2$$

$$2.2 < \nu < 4.25 \text{ GeV}$$

$$0.5 < z_h < 1.0$$

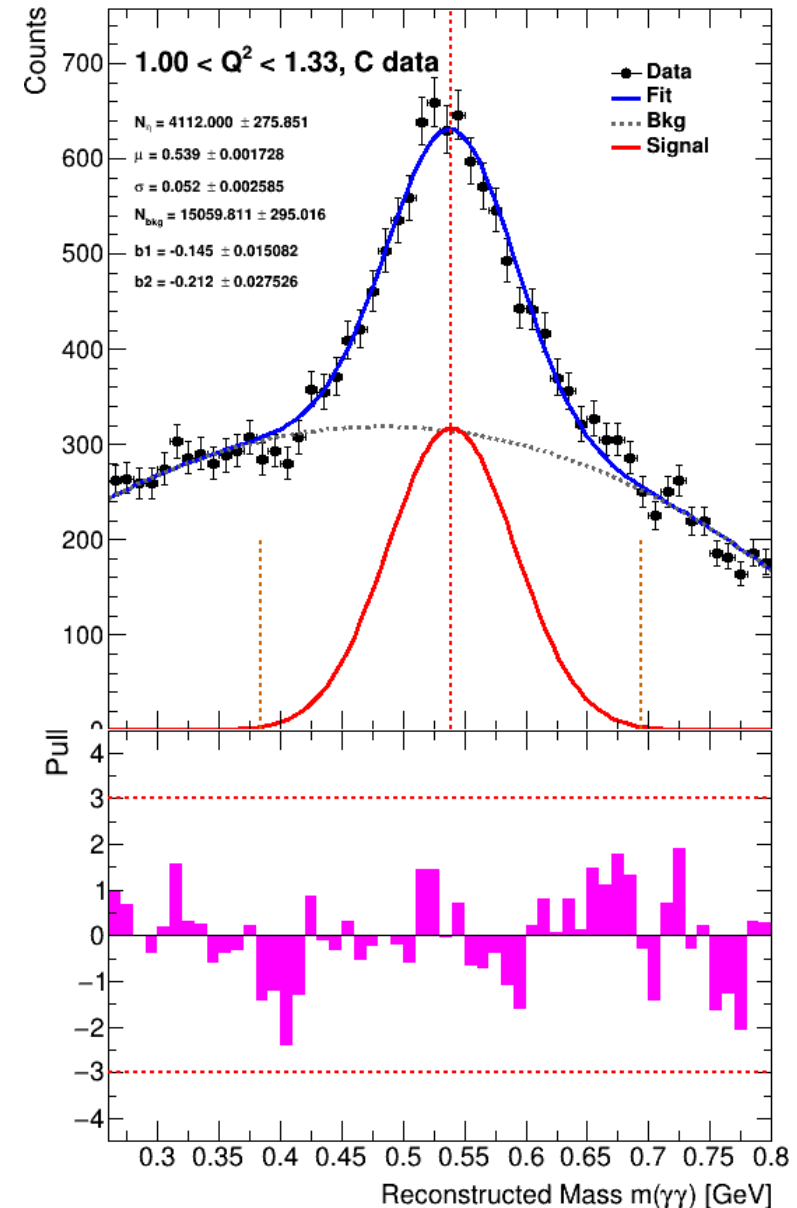
$$0.0 < p_T^2 < 1.5 \text{ GeV}^2$$

Kinematic variable	Bin edges					
$Q^2 \text{ (GeV}^2\text{)}$	1.0	1.33	1.66	2.0	2.5	4.1
$\nu \text{ (GeV)}$	2.2	2.86	3.22	3.58	3.87	4.25
$z_h$	0.5	0.6	0.7	0.8	0.9	1.0
$p_T^2 \text{ (GeV}^2\text{)}$	0.0	0.18	0.36	0.54	0.72	1.5

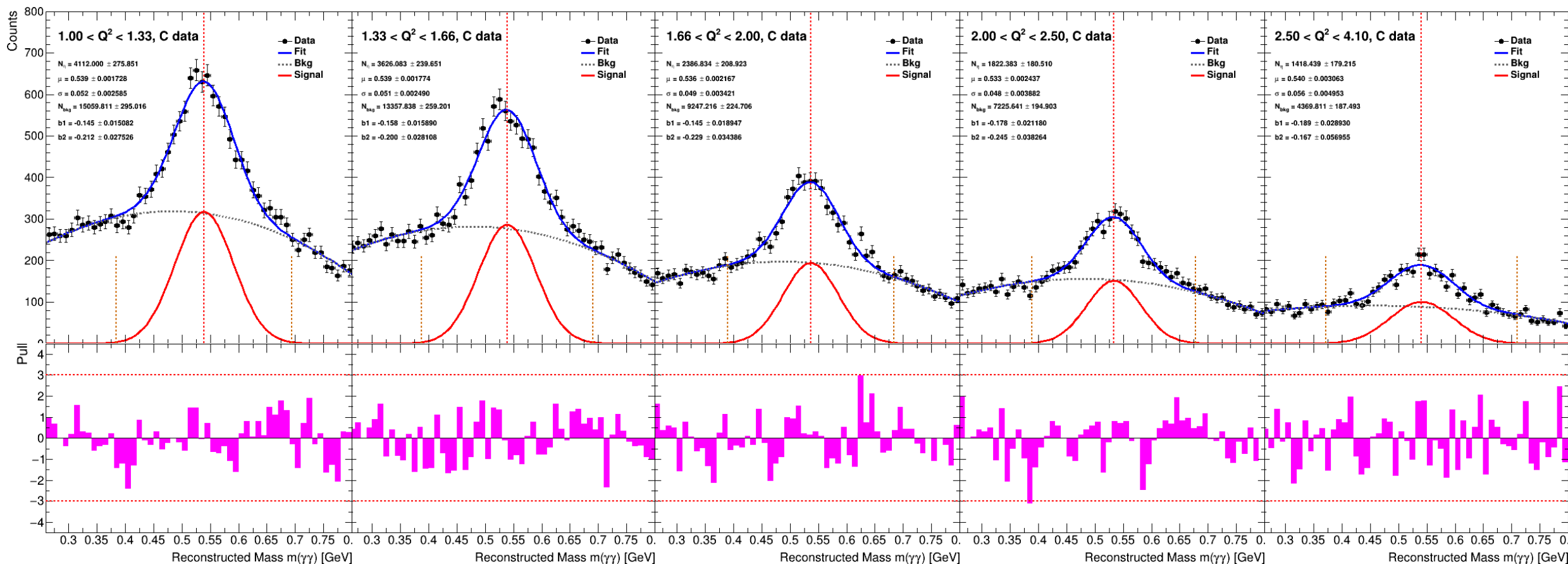


# Background Subtraction: Background and Signal Fitting

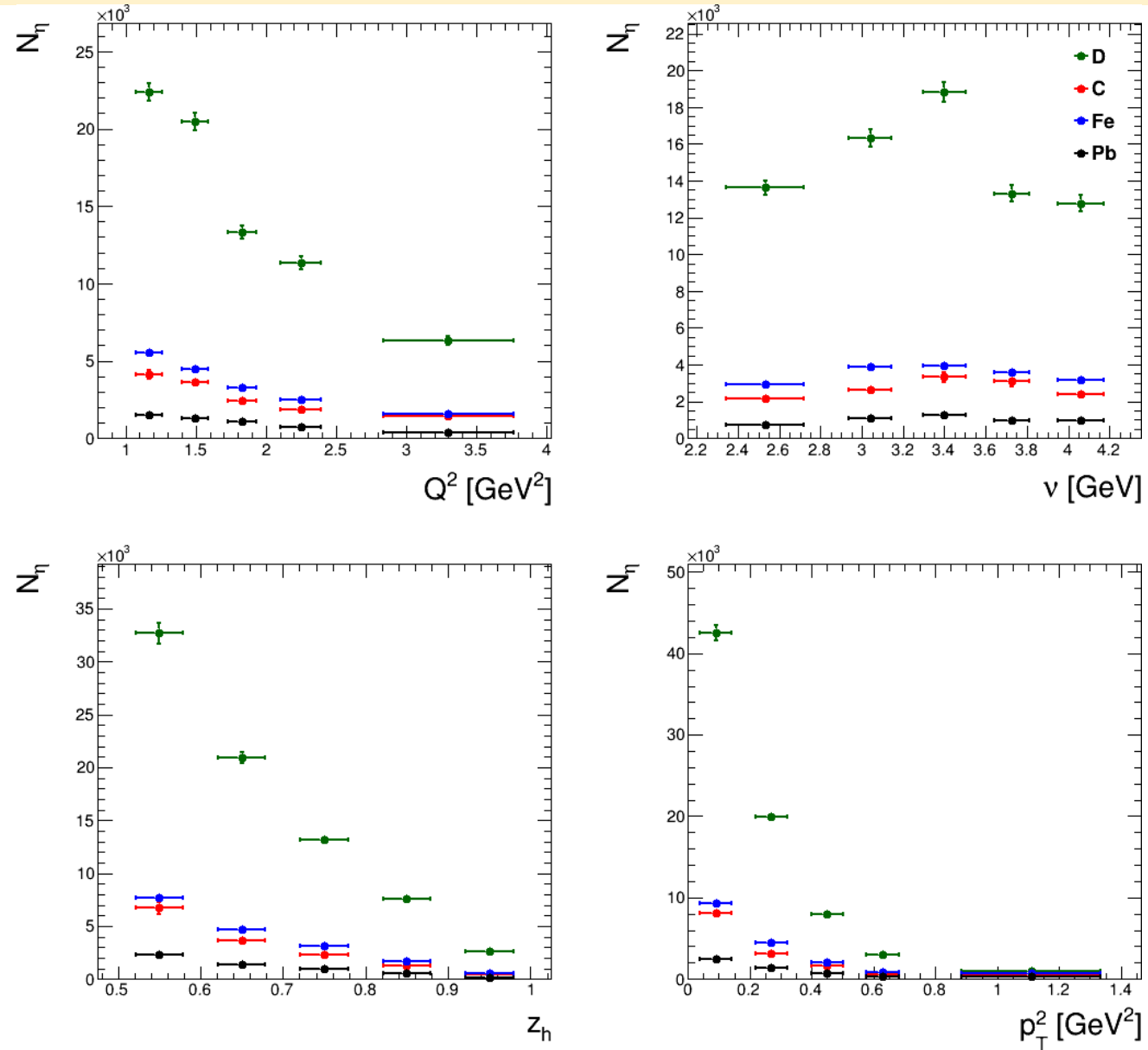
- Fit function:
  - $f(x) = N_\eta G(x; \mu, \sigma) + N_b p_2(x; b_1, b_2)$
  - Extended model:  $N_\eta + N_b = N_{tot}$
- Count of hadrons by integrating signal component
- Primary tool: **ROOT's RooFit**
- Maximum likelihood fit
  - Event-by-event basis
  - Longer computation time than least squares method
  - Limitation: not known tests to measure goodness of fit.



# Background and Signal Fitting



# Extracted $N_\eta$





# $\pi^0 \rightarrow \gamma\gamma$ Reconstruction

Decay channel:  $\pi^0 \rightarrow \gamma\gamma$

$$p(\gamma\gamma) = p_{\gamma_1} + p_{\gamma_2}$$

$$\Rightarrow m(\gamma\gamma) = 4 E_{\gamma_1} E_{\gamma_2} \sin^2 \left( \frac{\theta_{\gamma_1 \gamma_2}}{2} \right)$$

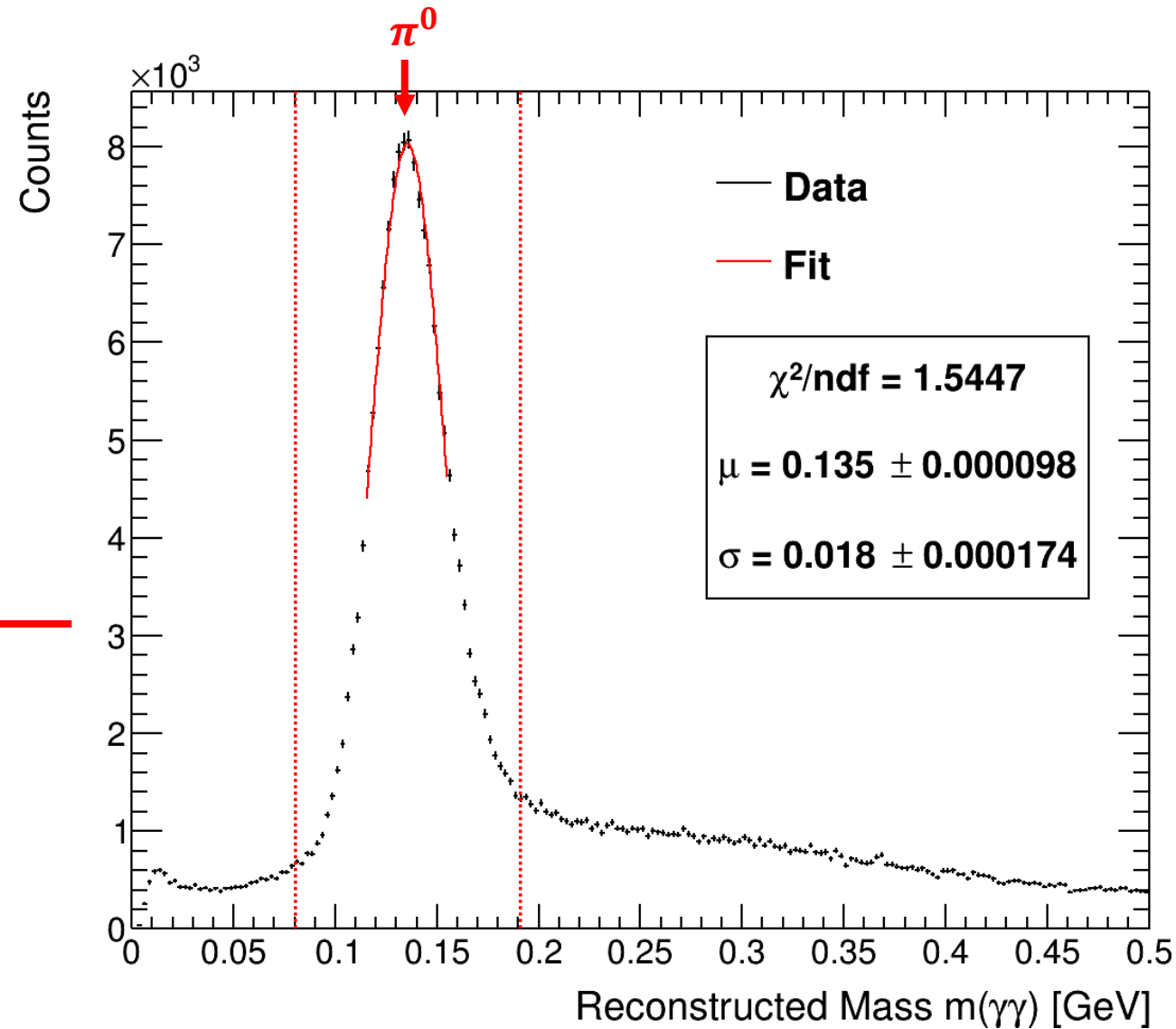
$\theta_{\gamma_1 \gamma_2}$ : angle between  $\gamma_1$  and  $\gamma_2$ .

## Procedure:

Gaussian fit around  $\pi^0$  peak.  
Horizontal lines represent  $\mu \pm 3\sigma$  cut.

Result:  $0.076 < m(\gamma\gamma) < 0.196$  GeV

[T. Mineeva. Neutral Pion Multiplicity Ratios from SIDIS  
Lepton-nuclear Scattering. CLAS Analysis Note (202)]



# $K^0$ Exclusion

$K_S^0$  decays into a  $\pi^+\pi^-$  pair, studied in a previous analysis.  $\longrightarrow$  [A. Daniel. Phys. Lett. B 706 (2011)]

$$p(\pi^+\pi^-) = p_{\pi^+} + p_{\pi^-}$$

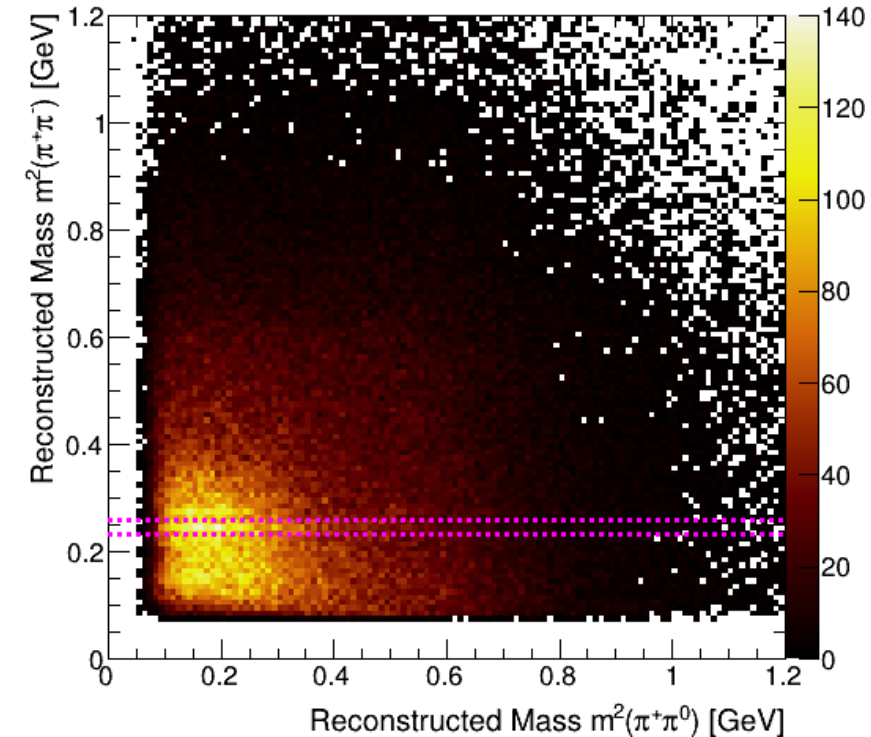
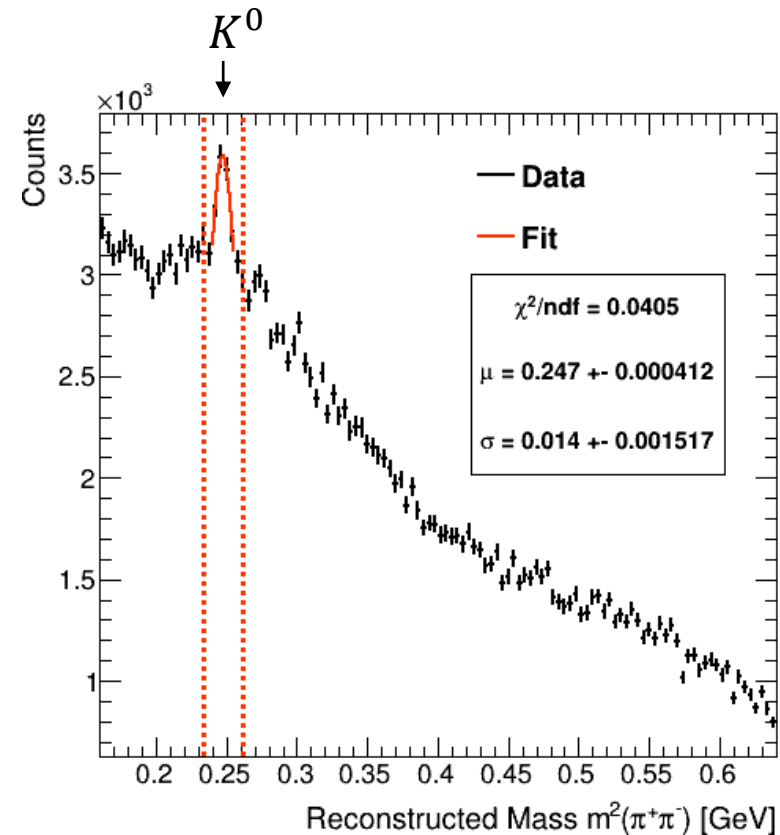
$$\Rightarrow m^2(\pi^+\pi^-) = 2M_{\pi^\pm}^2 + 2E_{\pi^+}E_{\pi^-} - 2(p_x^{\pi^+}p_x^{\pi^-} + p_y^{\pi^+}p_y^{\pi^-} + p_z^{\pi^+}p_z^{\pi^-}), \quad M_{\pi^\pm} = 0.139 \text{ GeV}$$

Gaussian fit around  $K^0$  peak.  
Horizontal lines represent  $\mu \pm 1\sigma$  cut.

$$m_{\pi^+\pi^-}^2 < 0.232 \text{ GeV}^2$$

or

$$m_{\pi^+\pi^-}^2 > 0.262 \text{ GeV}^2$$



# Reconstruction of the $\omega$ meson

**Decay channel:**  $\omega \rightarrow \pi^+\pi^-\pi^0 \rightarrow \pi^+\pi^-\gamma\gamma$

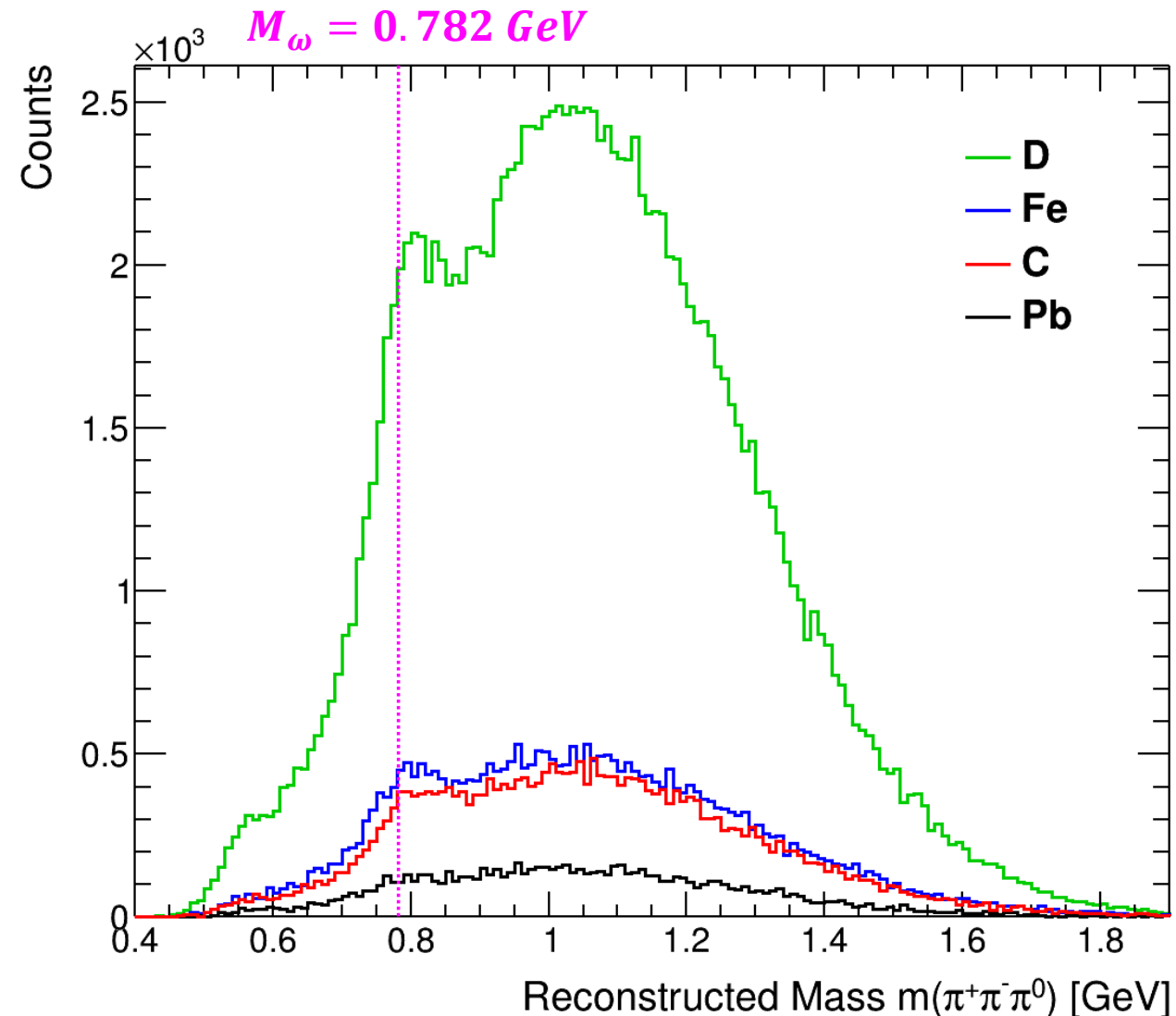
- Select all the events that have at least  $1\pi^+$ ,  $1\pi^-$  and  $2\gamma$  in their final state.
- Store all combinations ( **$\omega$  candidates**). The total number of  $\omega$  candidates per event is given by

$$N_{\omega}^{comb} = \binom{N_{\pi^+}}{1} \binom{N_{\pi^-}}{1} \binom{N_{\gamma}}{2}$$

- Reconstruct the mass of the  $\omega$  meson as a 3-particle system,

$$p_{\pi^+\pi^-\pi^0} = p_{\pi^+} + p_{\pi^-} + p_{\gamma\gamma}$$

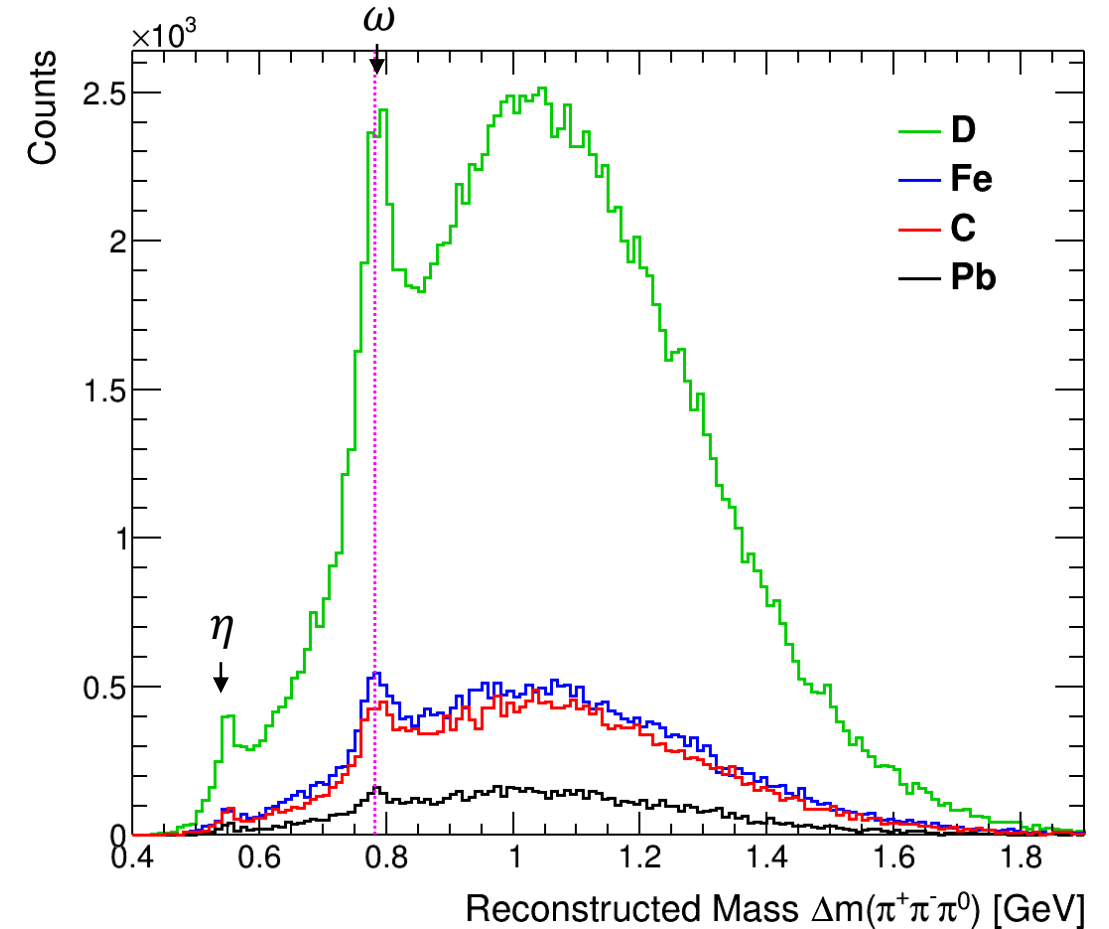
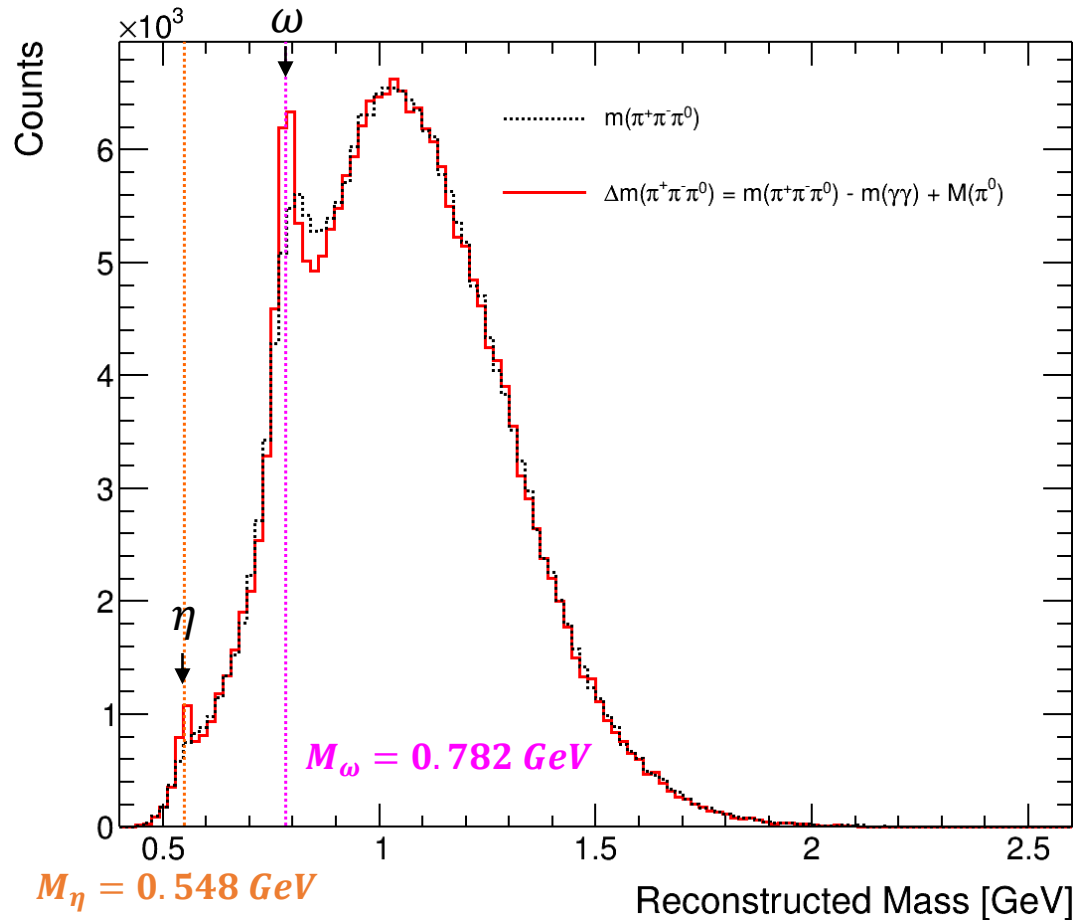
$$m(\pi^+\pi^-\pi^0) = \sqrt{E^2(\pi^+\pi^-\gamma\gamma) - |\vec{p}|^2(\pi^+\pi^-\gamma\gamma)}$$



# Reconstruction of the $\omega$ meson - III

An alternative mass expression is preferred: the **invariant mass difference**,

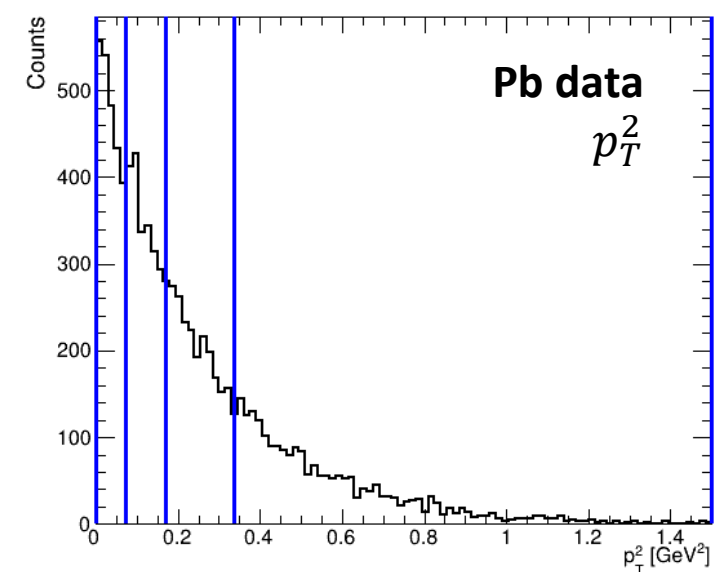
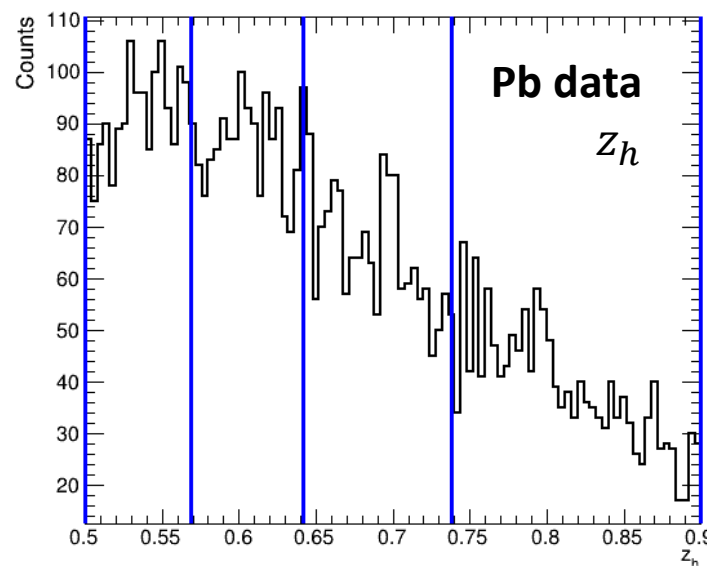
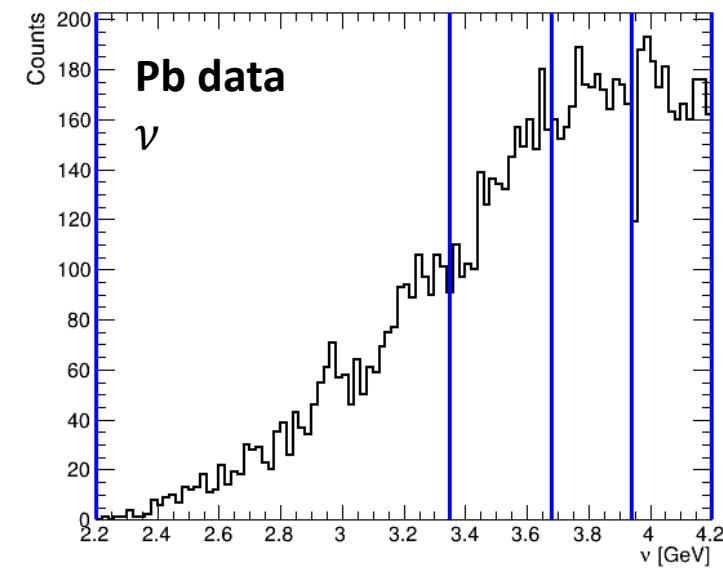
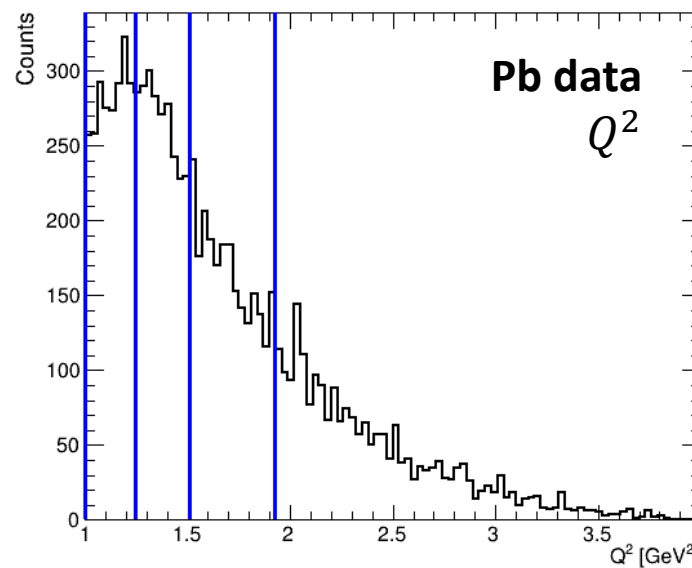
$$\Delta m(\pi^+\pi^-\pi^0) = m(\pi^+\pi^-\pi^0) - m(\gamma\gamma) + M_{\pi^0}$$



# Binning

The binning to present the **multiplicity ratios** is one-dimensional and equally distributed.

Kinematic variable	Bin edges				
$Q^2$ (GeV <sup>2</sup> )	1.0	1.25	1.51	1.92	4.0
$\nu$ (GeV)	2.2	3.35	3.68	3.94	4.2
$z_h$	0.5	0.57	0.64	0.74	0.9
$p_T^2$ (GeV <sup>2</sup> )	0.0	0.07	0.17	0.34	1.5



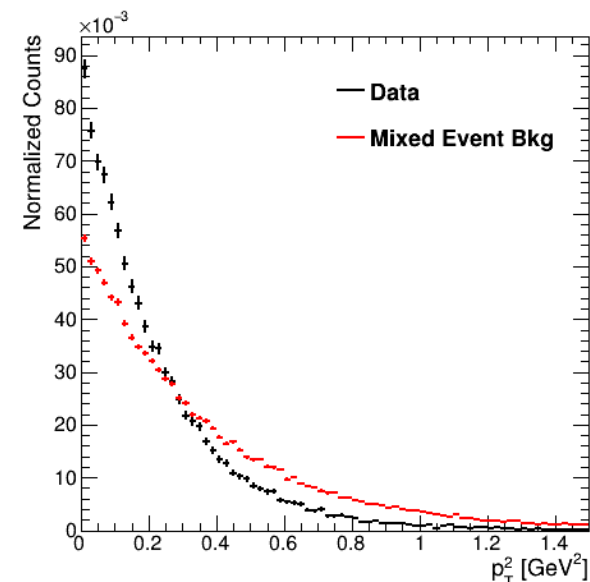
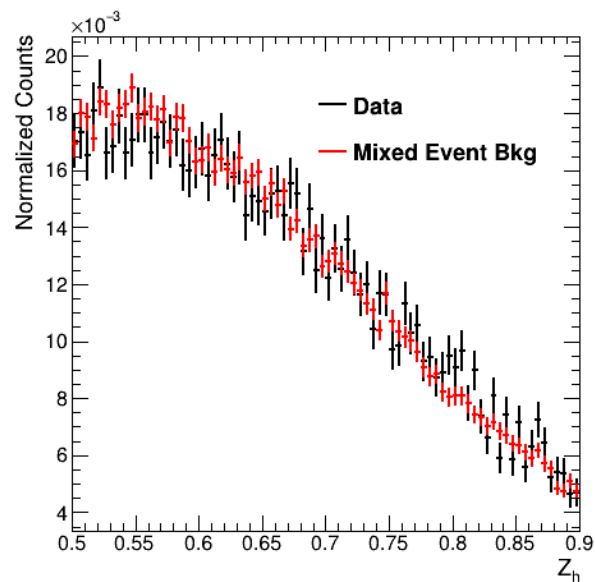
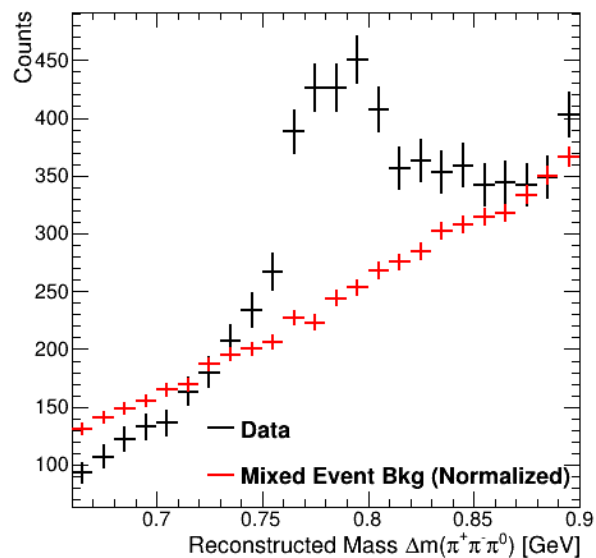
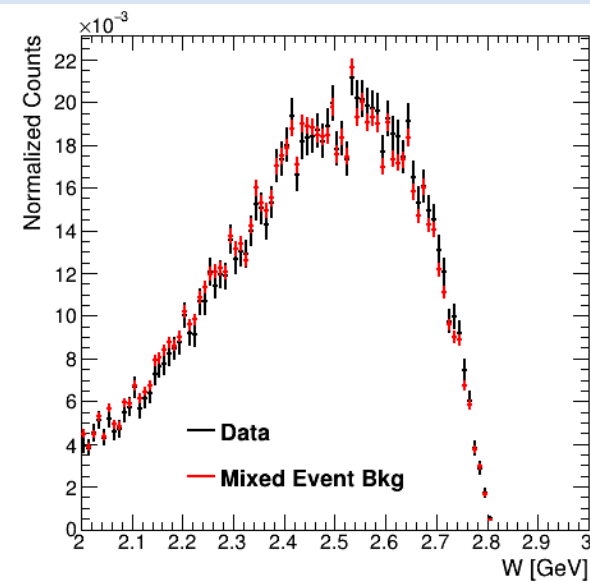
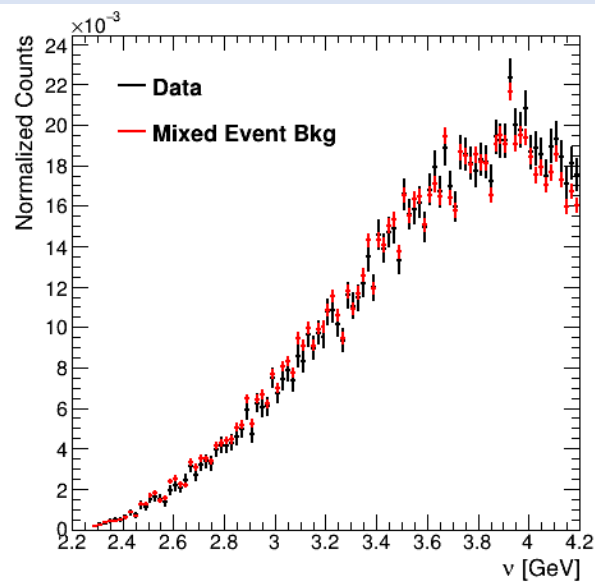
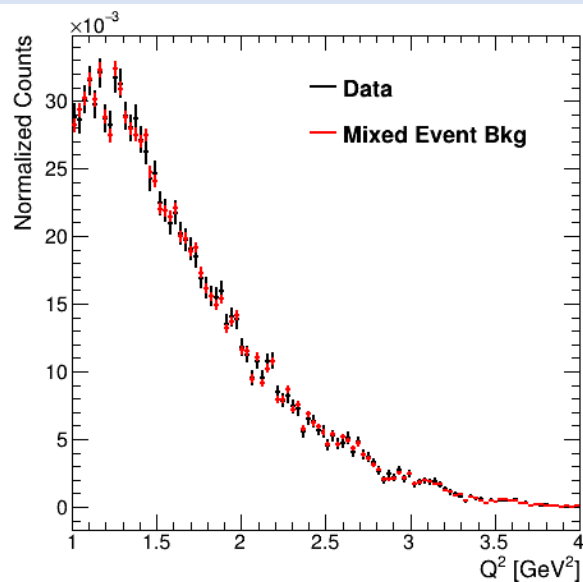
# Event-Mixing Method:

The main idea is to describe the background shape of the  $\omega$  invariant mass difference with pions that are **no longer correlated**, i.e., originating from different events.

- Keep all events with the minimum amount of final-state particles.  
 (“**candidate event**”)
- Combine and form all the possible  $\omega$  candidates.
- For each formed  $\omega$  candidate,
  1. swap the  $\pi^+$  by a **random**  $\pi^+$  from **candidate events** from **same target**
  2. swap the  $\pi^-$  by a **random**  $\pi^-$
  3. swap the  $\pi^0$  by a **random**  $\pi^0$
  4. swap the three pions with **random**  $\pi^+, \pi^-, \pi^0$  (all from different events)
- Add the new 4 distributions.

[F. Jonas. M.Sc. Thesis  
(2018, University of Münster)]

# Event-Mixing Method: Comparison with data





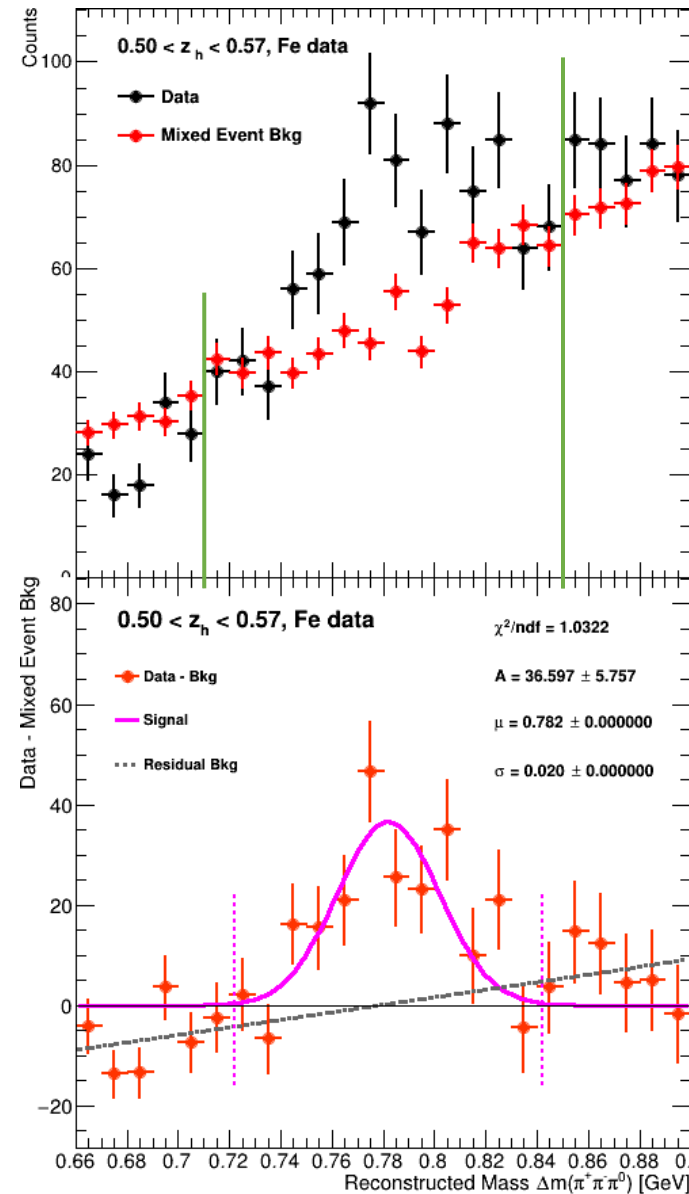
# Event-Mixing Method: Normalization and extraction of $N_\omega$

1.

To **normalize** the **mixed-event background** to the **data**, it is scaled by the following factor:

$$\frac{\text{integral}_{R1}^{\text{data}} + \text{integral}_{R2}^{\text{data}}}{\text{integral}_{R1}^{\text{bkg}} + \text{integral}_{R2}^{\text{bkg}}}$$

Where **R1** and **R2** stand for the left and right sidebands, respectively.



2.

The **normalized mixed event background** is subtracted from the **data**.

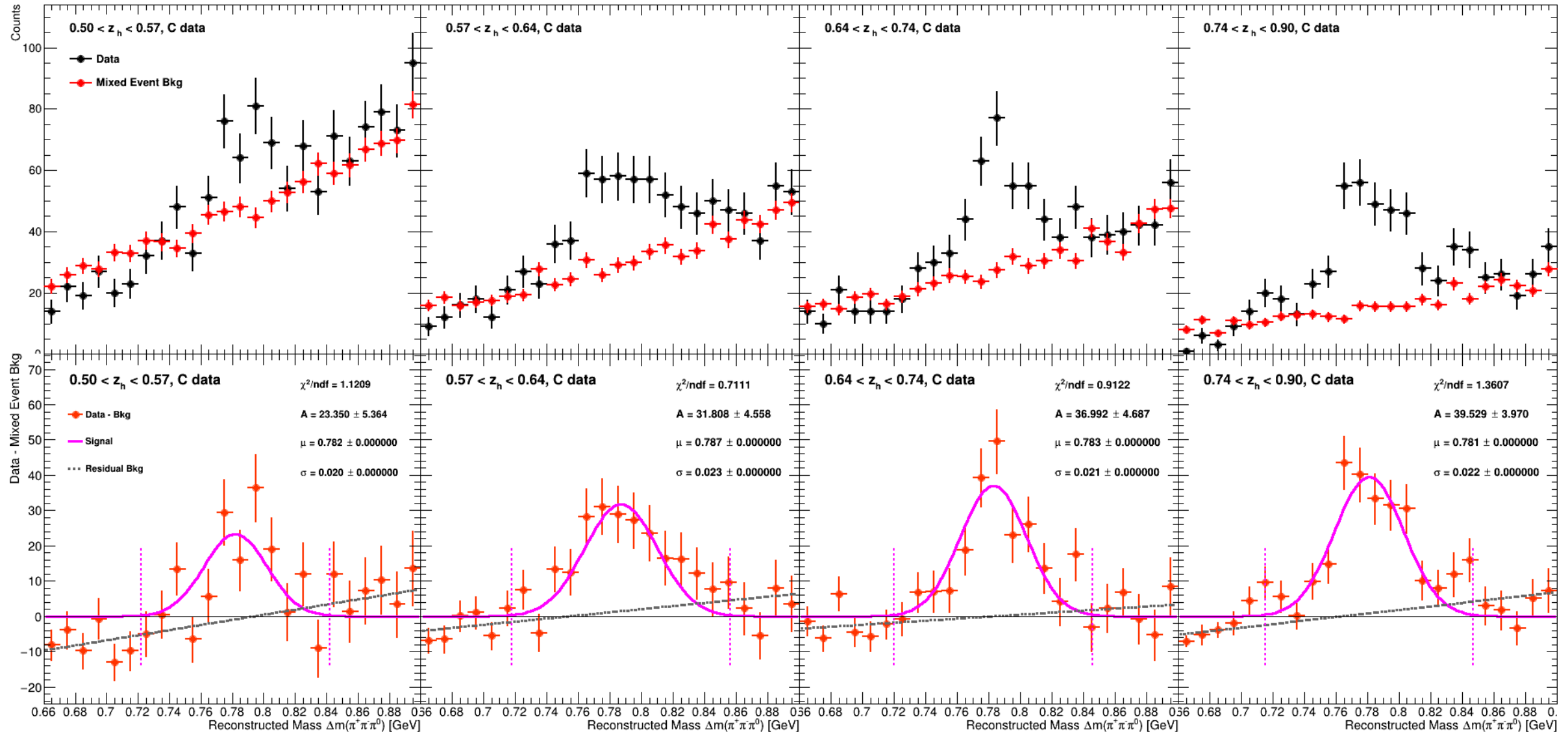
The **background-subtracted distribution** is fitted with a chi-square fit:

$$f(x) = G(x; A, \mu, \sigma) + p1(x; a1, a2)$$

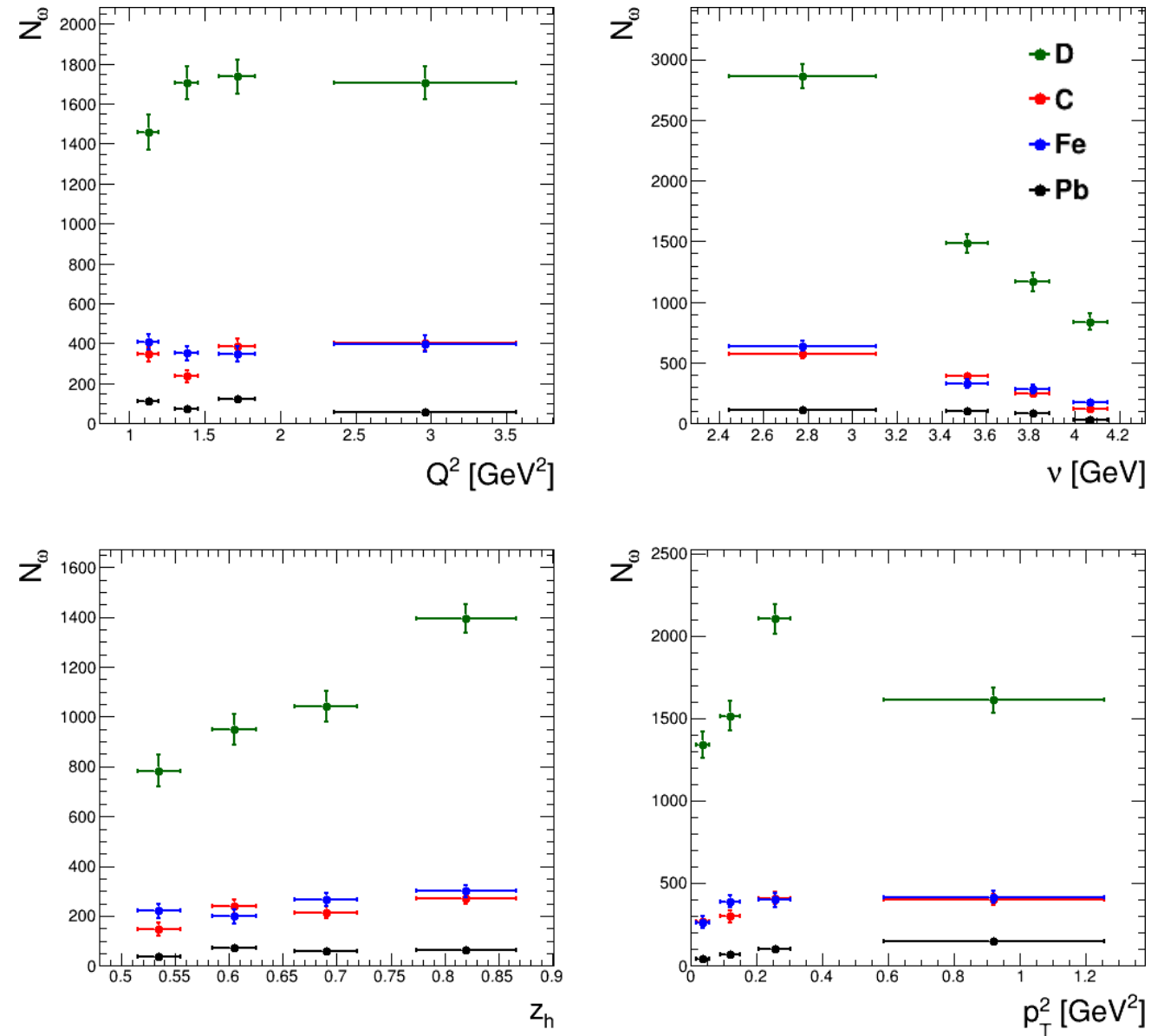
\*  $\mu$  and  $\sigma$  are **fixed** from preliminary fits on all data.

The number of  $\omega$  mesons is calculated by integrating the **distribution** over the obtained  $\mu \pm 3\sigma$  range.

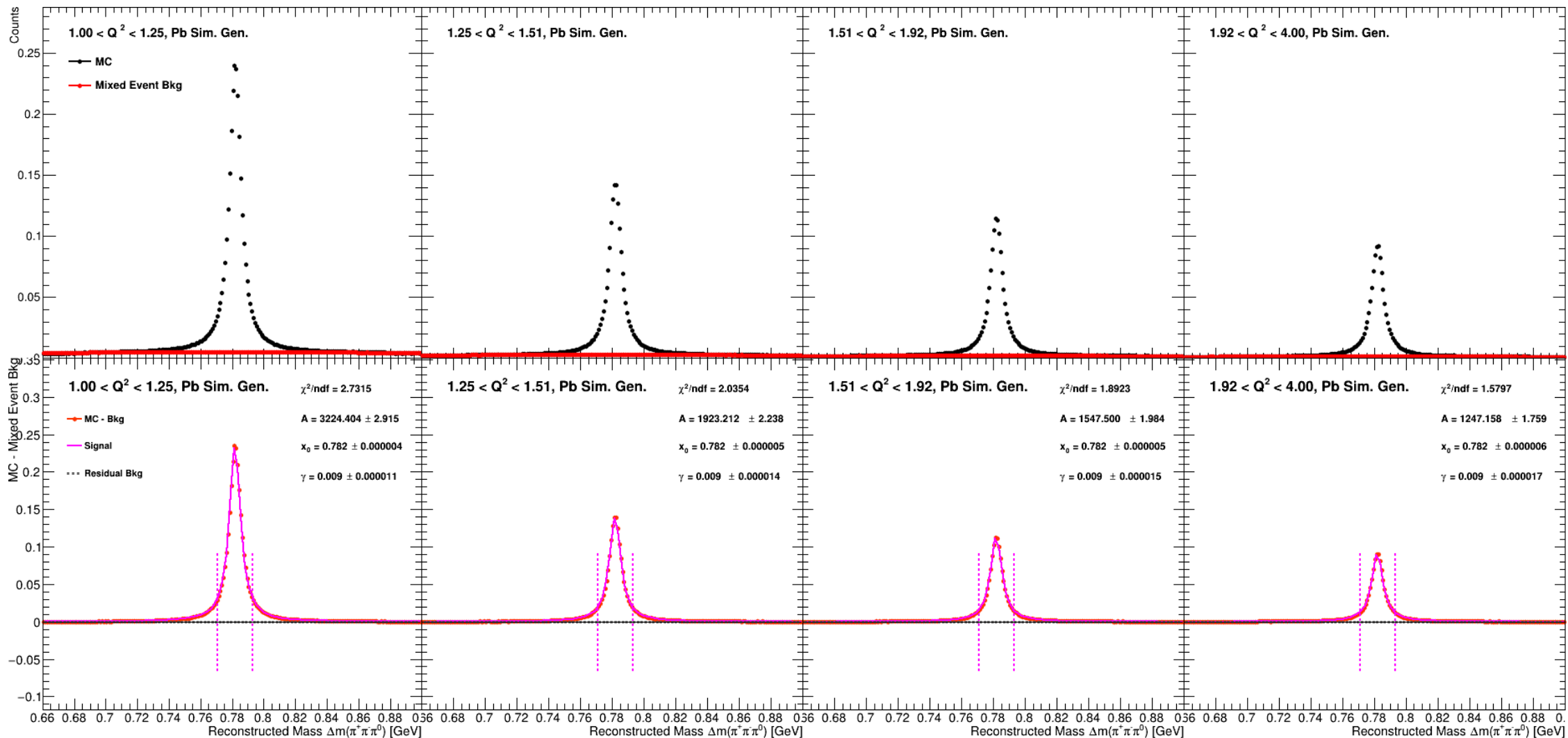
# Event-Mixing Method: Application on Carbon data



# Event-Mixing Method: Extracted $N_\omega$

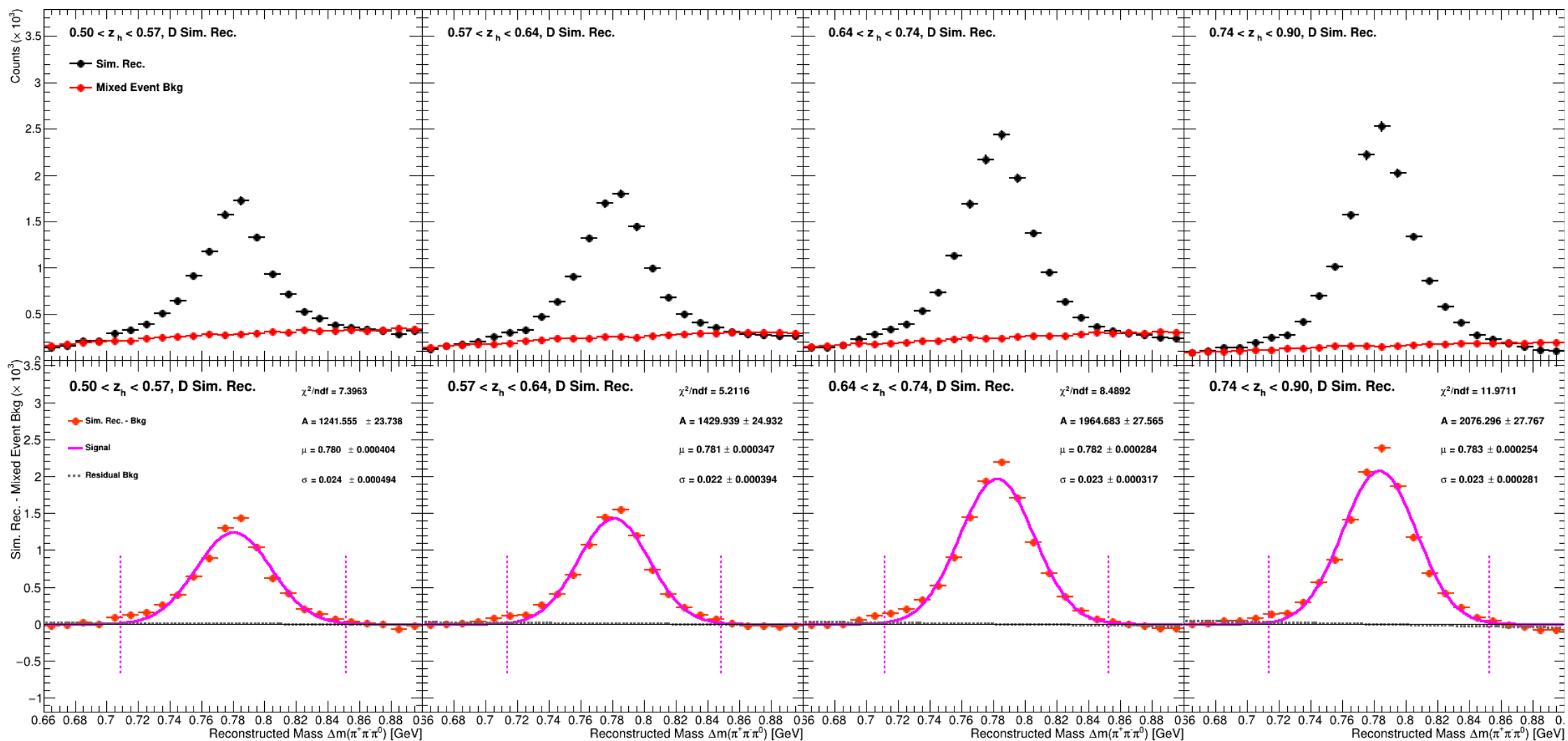


# Generated Particles ID: Background Subtraction

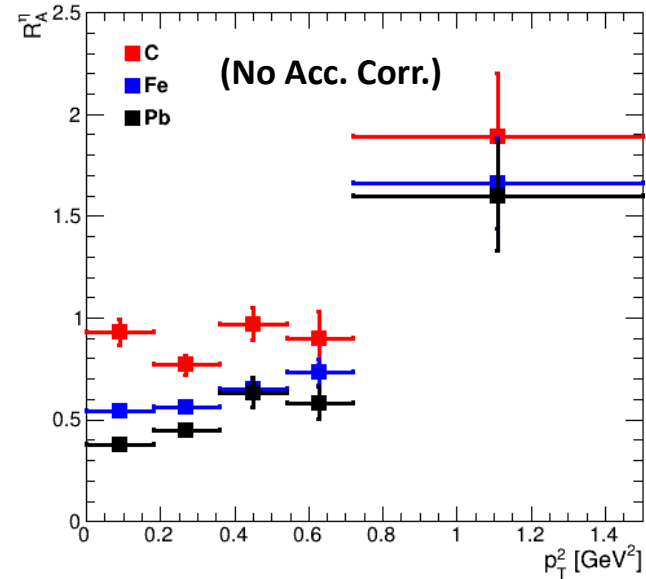
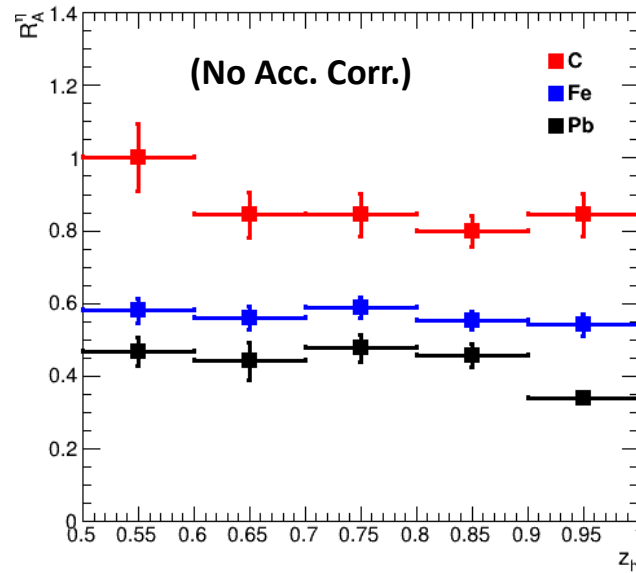
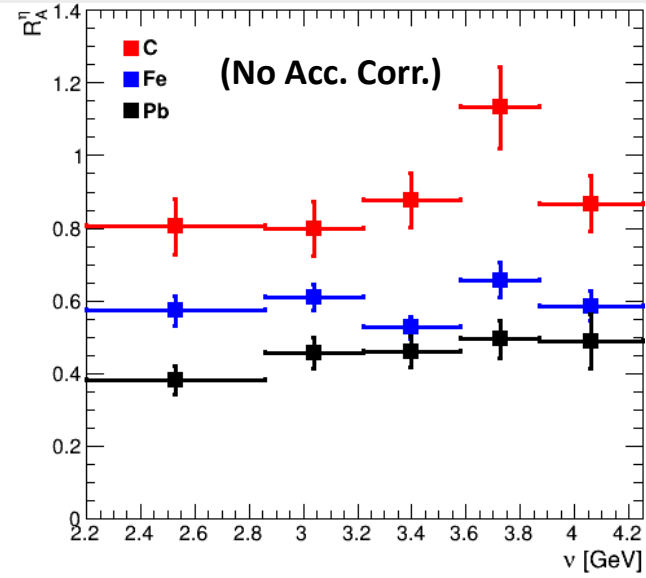
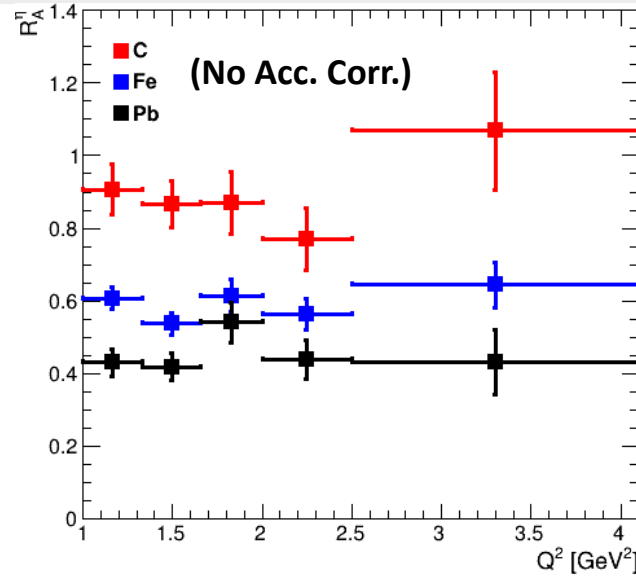


\*In this case, a model composed of a **Breit-Wigner function** and a first-order polynomial is preferred to fit the  $\omega$  peak.

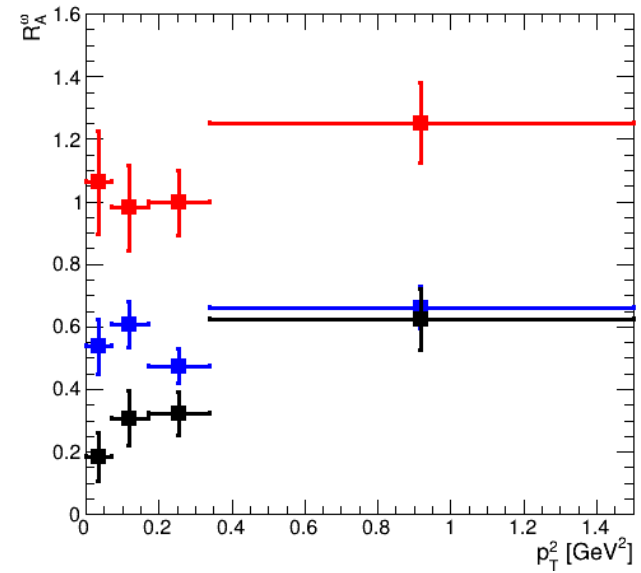
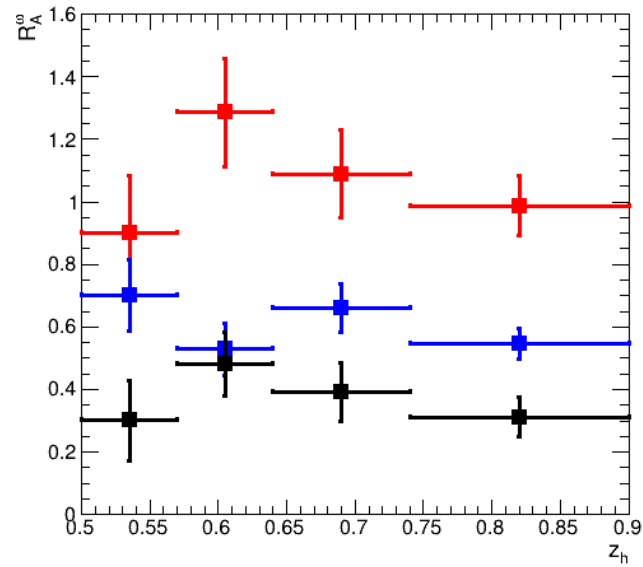
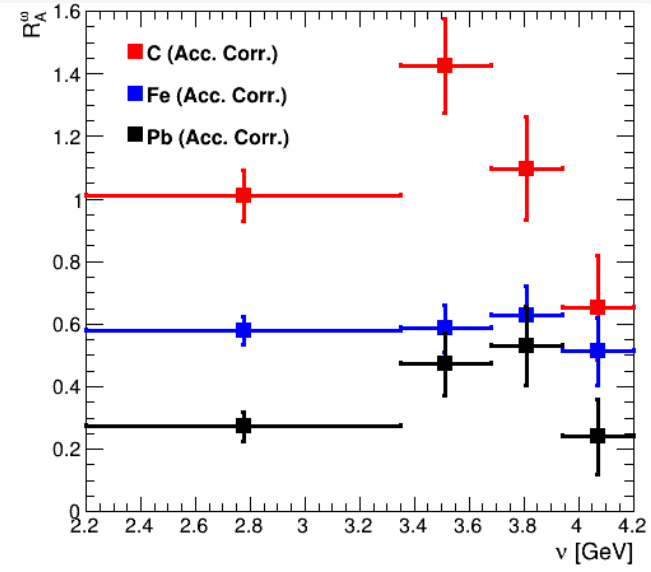
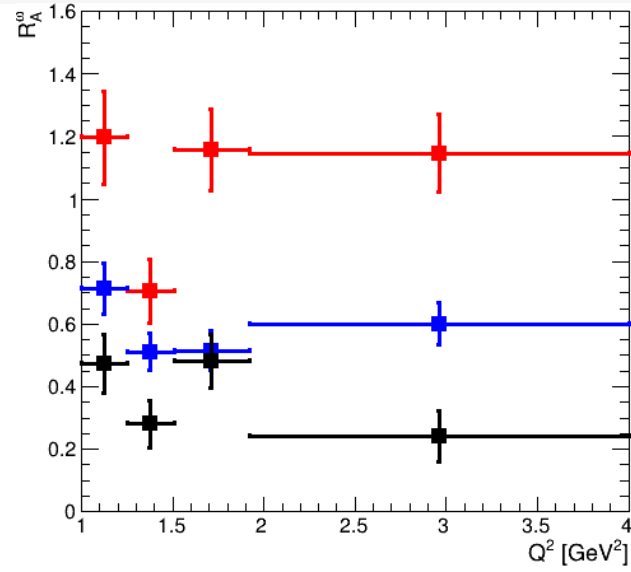
# Reconstructed Particles ID: Background Subtraction



# Multiplicity Ratios: $\eta$

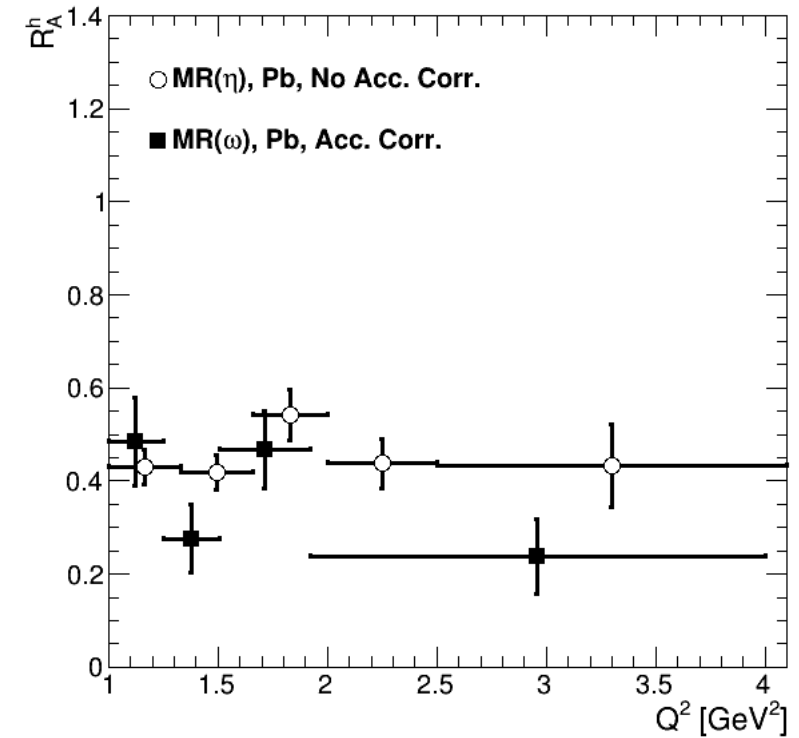
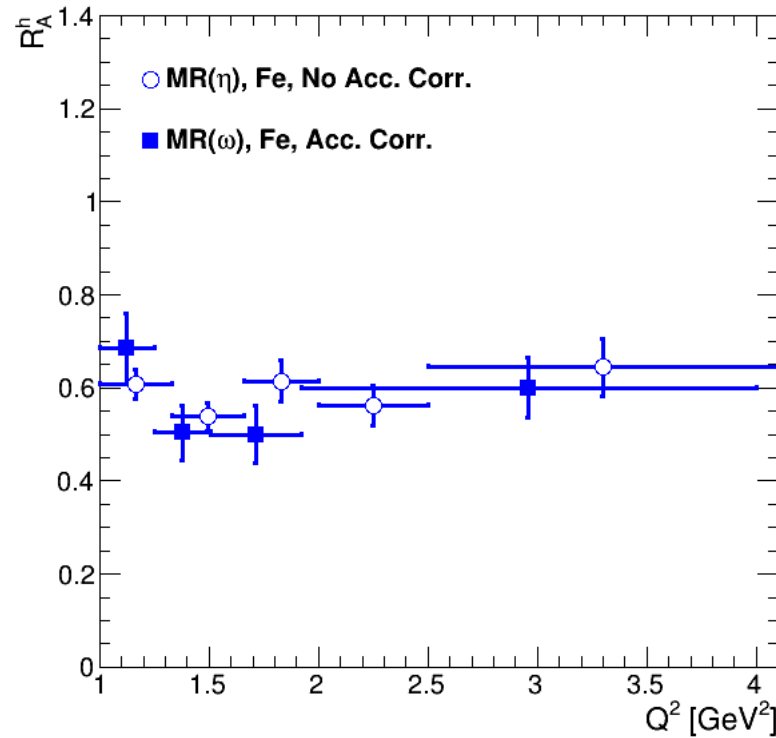
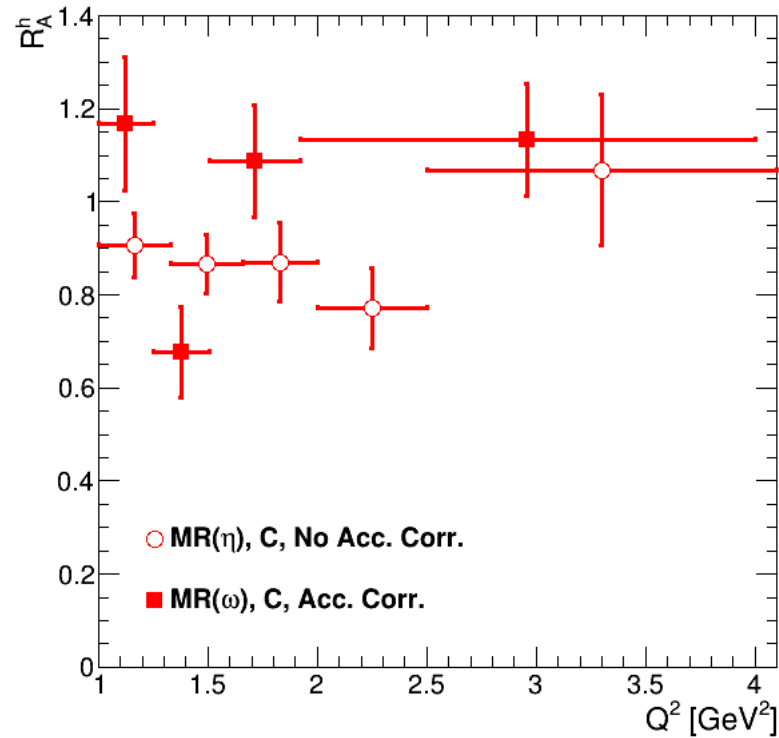


# Multiplicity Ratios: $\omega$

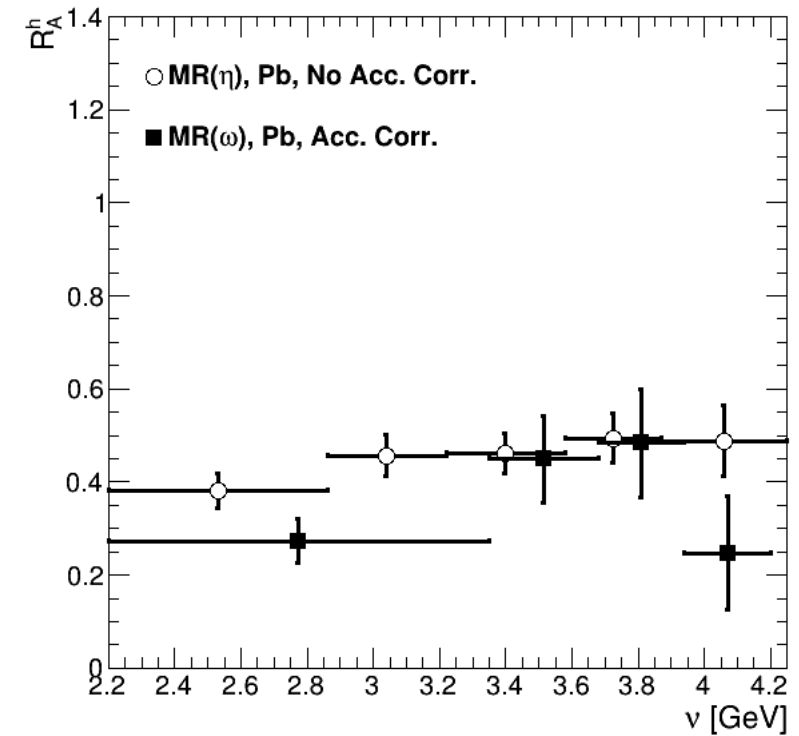
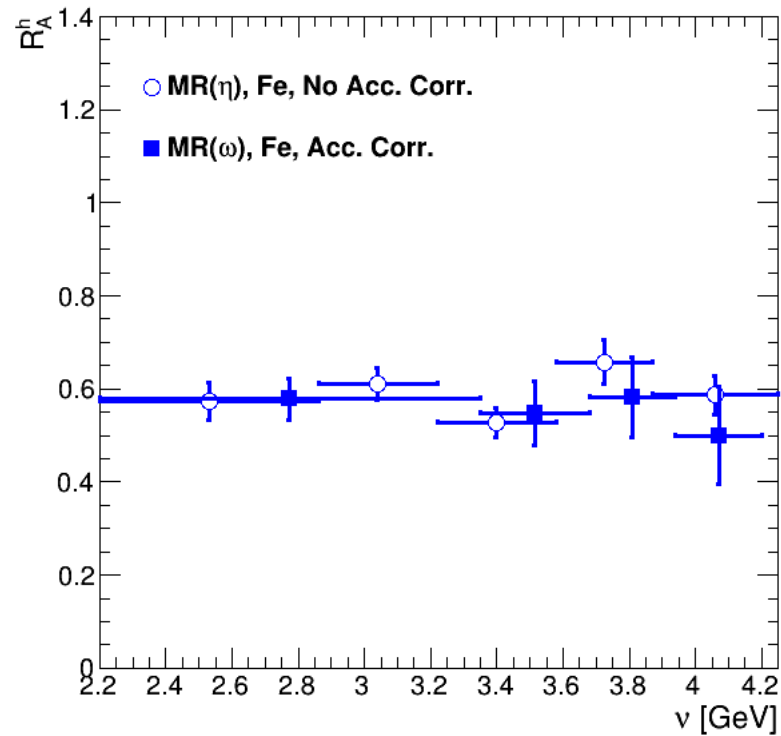
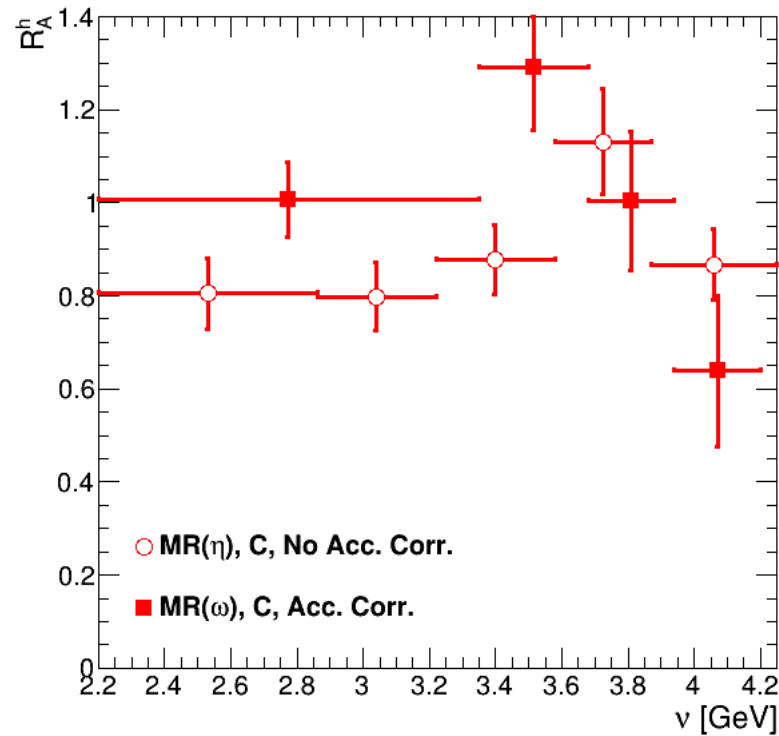




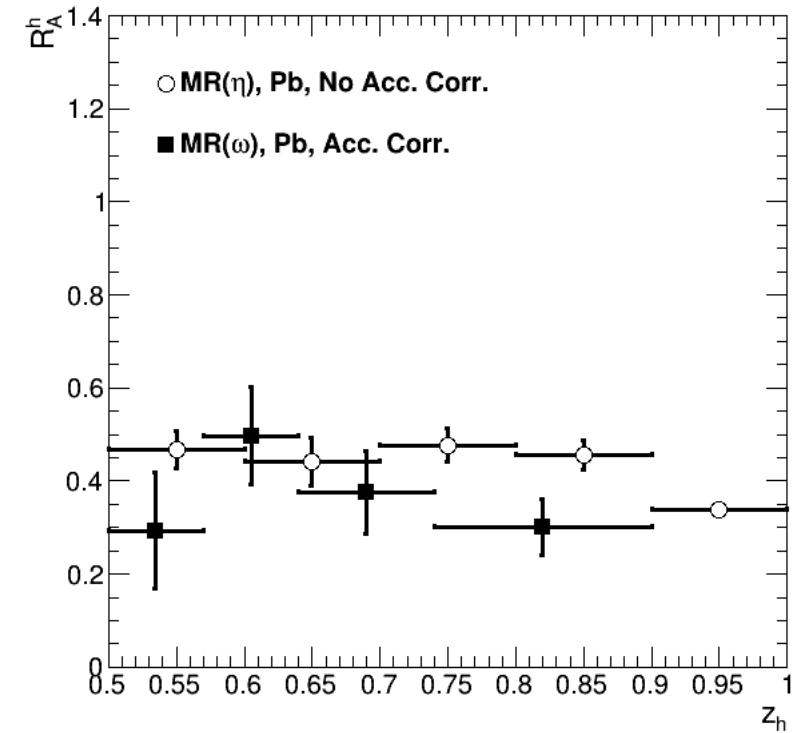
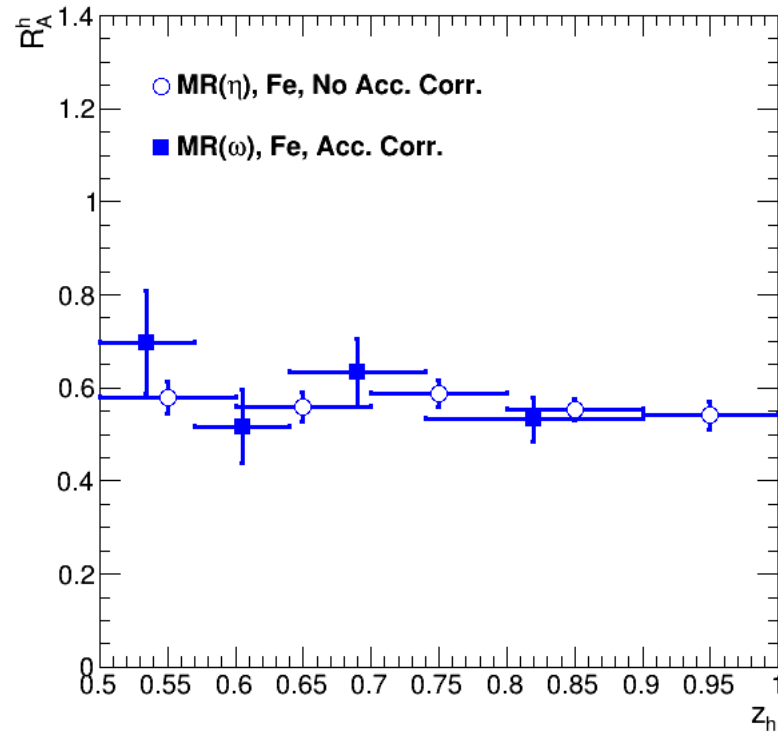
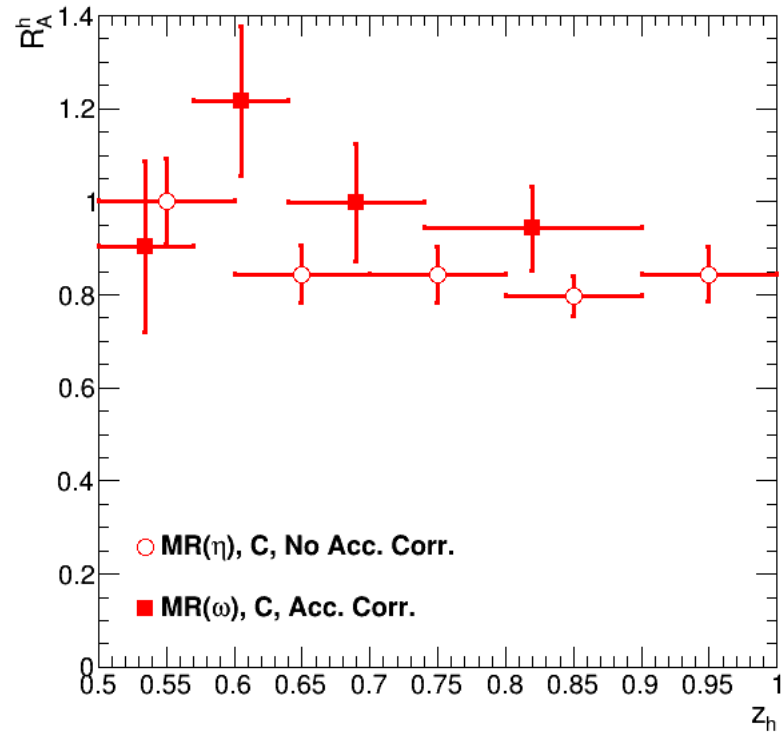
# Multiplicity Ratio vs $Q^2$ : Comparison between $\eta$ and $\omega$



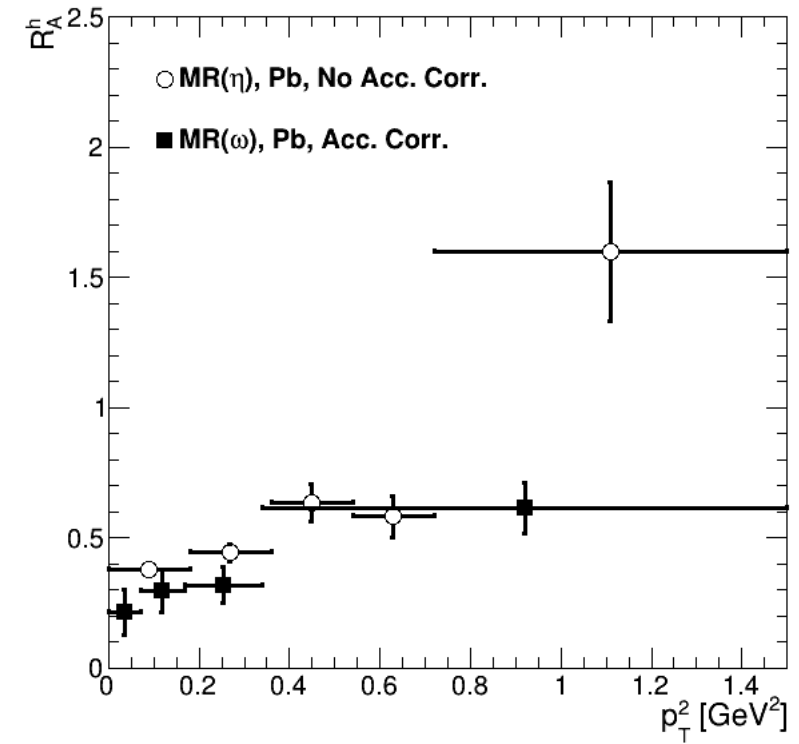
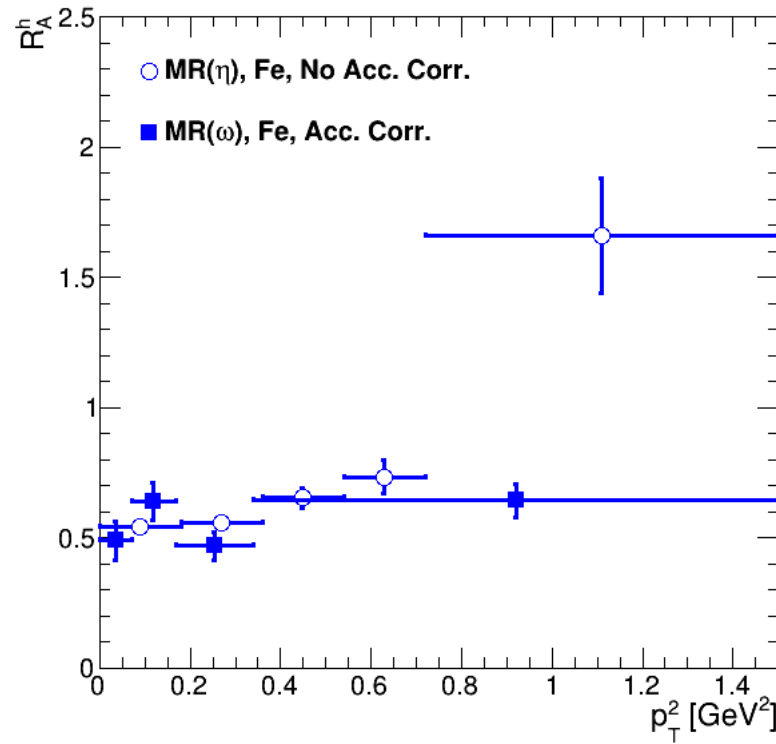
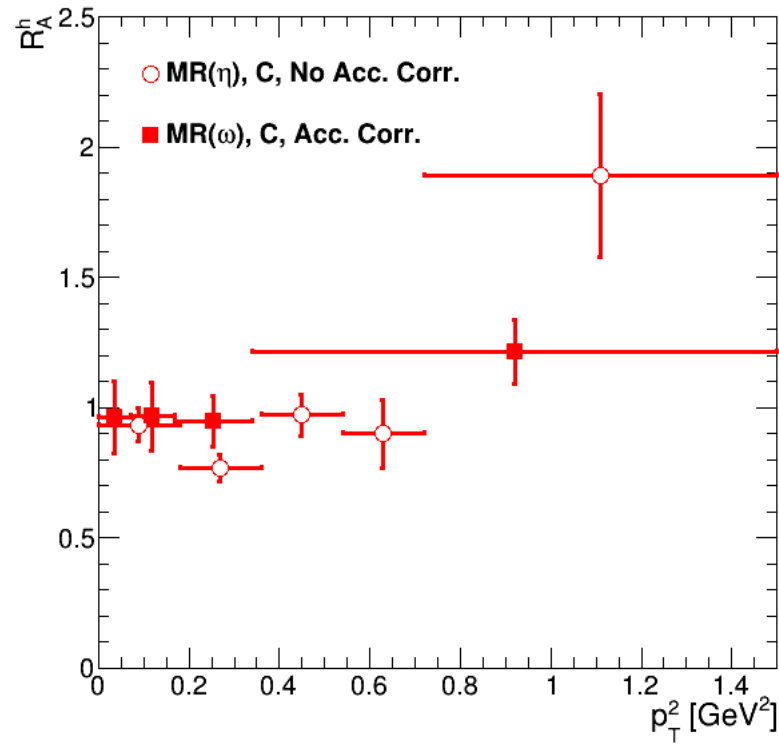
# Multiplicity Ratio vs $\nu$ : Comparison between $\eta$ and $\omega$



# Multiplicity Ratio vs $z_h$ : Comparison between $\eta$ and $\omega$



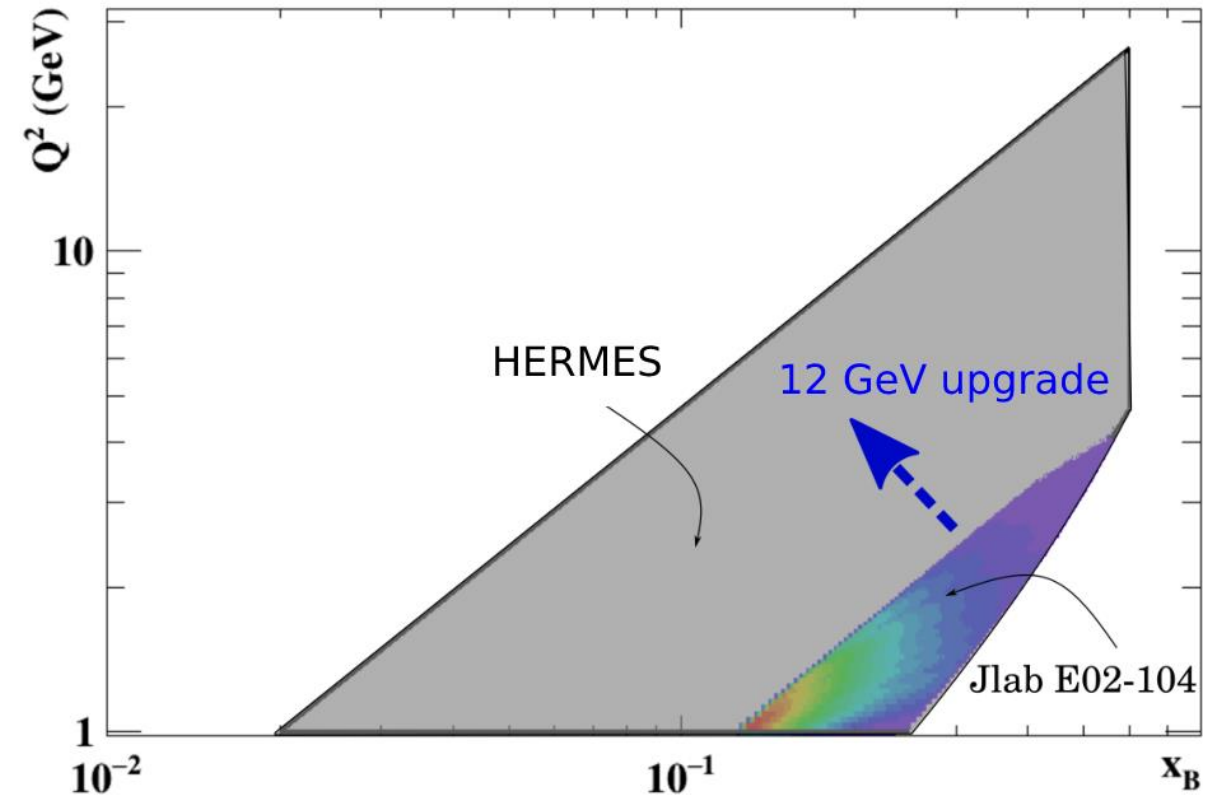
# Multiplicity Ratio vs $p_T^2$ : Comparison between $\eta$ and $\omega$



# Next steps

- $\eta$  Analysis
  - Background subtraction through event-mixing
  - Acceptance correction
- Radiative corrections
  - Externals
  - Coulomb Corrections
  - SIDIS Radiative Corrections
- Systematic uncertainties
  1. Particle ID
  2. Vertex cuts
  3. Background subtraction
  4. Acceptance correction
  5. Radiative corrections

Kinematical region comparison



Backup

# Survival Probability: $\omega$ candidates

## Survival Probability:

If a particle of mass  $M$  has a mean proper lifetime  $\tau (= 1/\Gamma)$  and has 4-momentum  $(E, \mathbf{p})$ , then the probability that it travels a distance  $x$  or greater is:

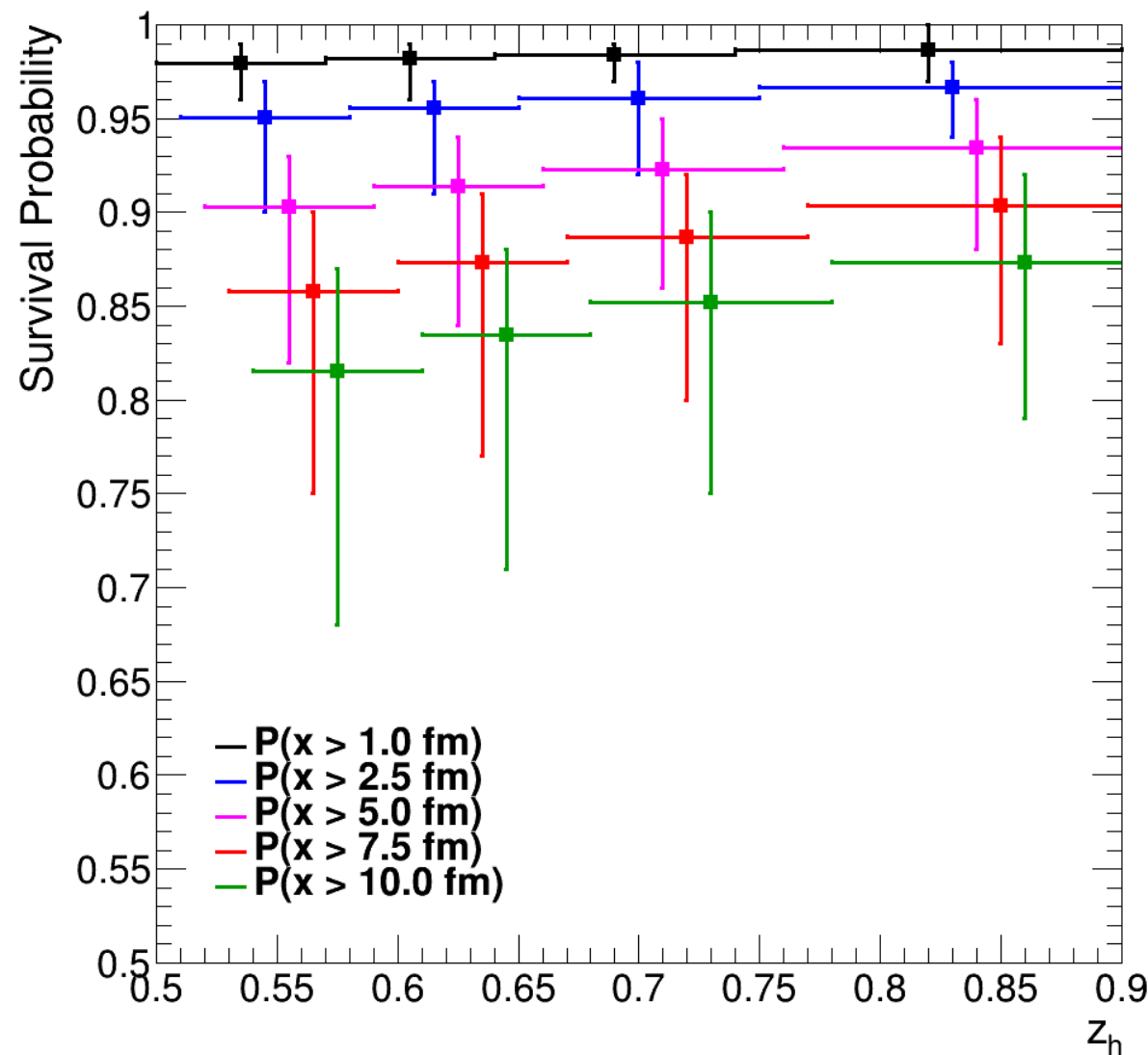
$$P(x) = e^{-M x \Gamma / |\mathbf{p}|}$$

In the case of  $\omega$ , (in natural units)

- $M = 0.782 \text{ GeV}$
- $\Gamma = 8.40 \times 10^{-3} \text{ GeV}$

\* In the plot,  $x$  is translated from natural units to fm.

[Particle Data Group]

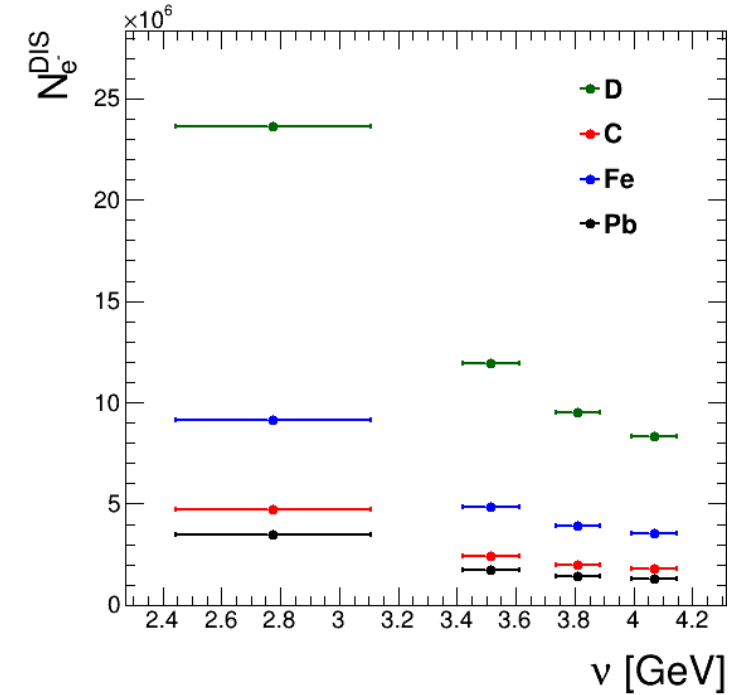
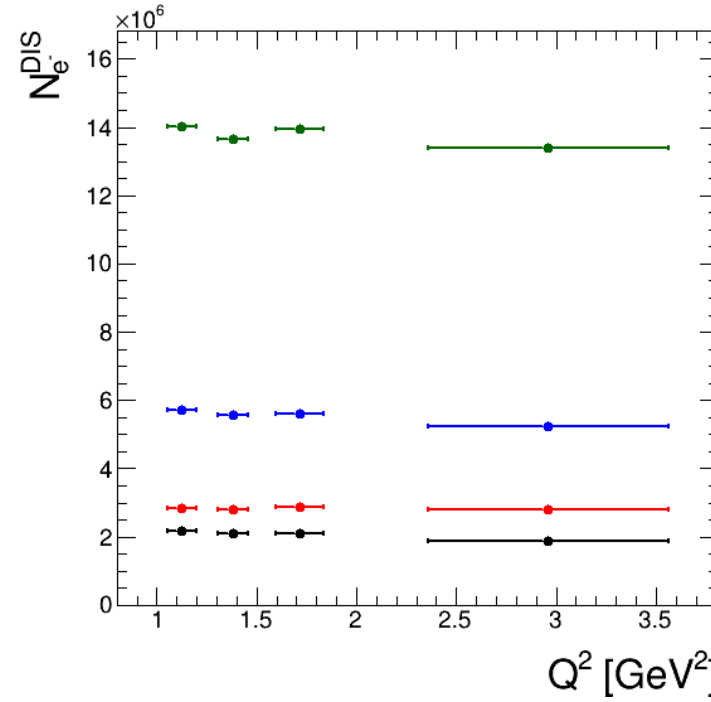




# Electron Numbers

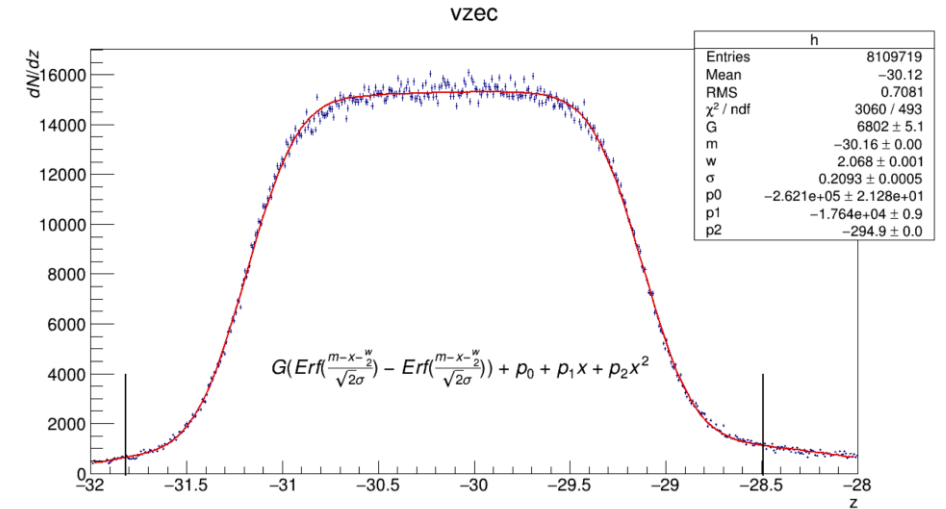
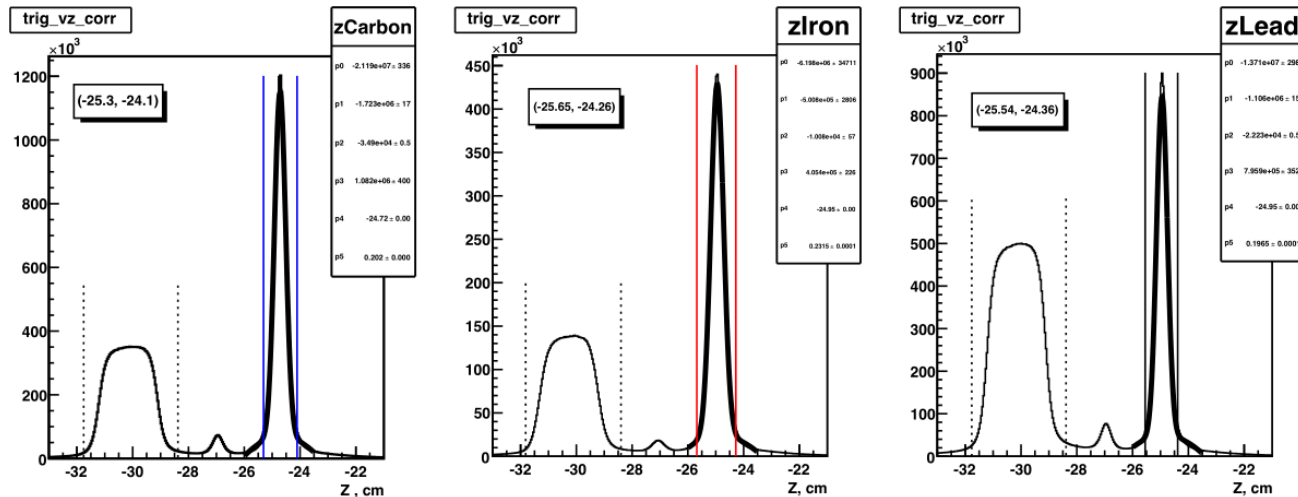
An important term in the definition of Multiplicity Ratio is the **number of DIS electrons**  $N_e^{DIS}$ .

$$R_A^h \equiv \frac{\left( N_h(Q^2, \nu, z, p_T^2) \right)_{A}}{\left( N_e^{DIS}(Q^2, \nu) \right)_{D}}$$



Target	Number of inclusive DIS electrons
D	54,997,138
C	11,287,494
Fe	22,137,224
Pb	8,234,343

# Target Determination: Electron Vertex Cuts



Fit to the electron  $z^{corr}$  vertex distributions for the deuterium target.

- $31.80 < z_D^{corr} < -28.40$  cm
- $25.65 < z_{Fe}^{corr} < -24.26$  cm
- $25.33 < z_C^{corr} < -24.10$  cm
- $25.54 < z_{Pb}^{corr} < -24.36$  cm

Usually, reconstruction of the  $y$ -position of the target can present background.

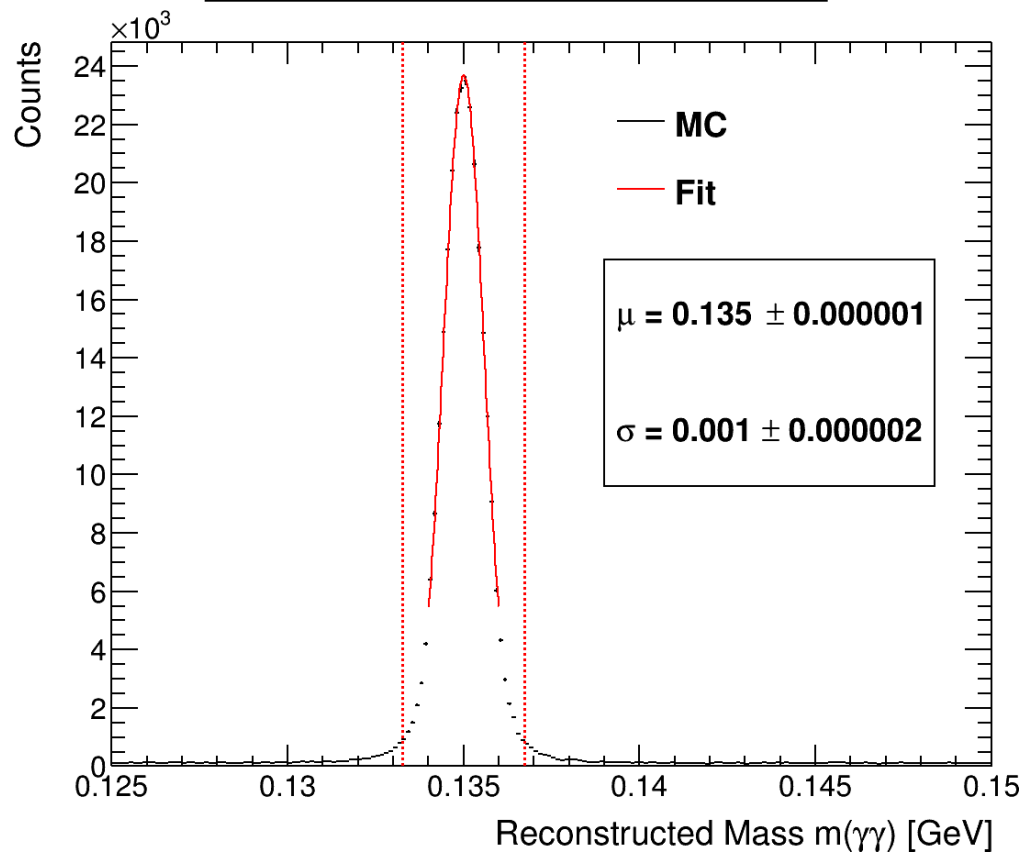
$\Rightarrow$  A cut was also applied to the  $y^{corr}$ :

$$|y^{corr}| < 1.4 \text{ cm}$$

# Generated Particles ID: Overview

To count how many  $\omega$  mesons were generated, it is necessary to combine the final-state particles and form all possible  $\omega$  candidates.

## Neutral Pion Reconstruction



## Overview of cuts

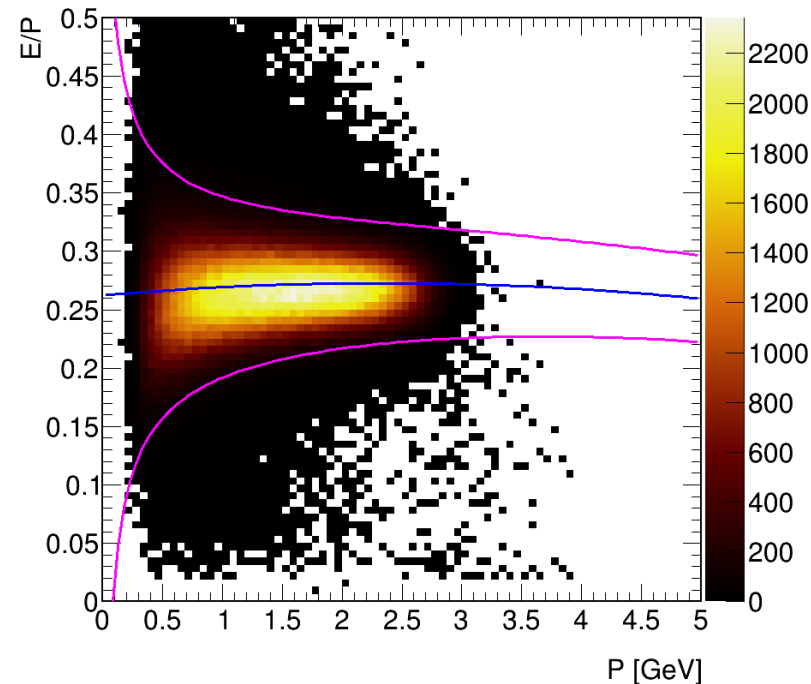
- There are no vertex cuts.
- DIS cuts are maintained for the scattered electrons.
- For consistency, the exact cut for exclusion of neutral kaons is maintained.

# Reconstructed Particles ID

The particle identification criteria used to determine the type of **reconstructed** or **accepted** particles follows the procedures than data.

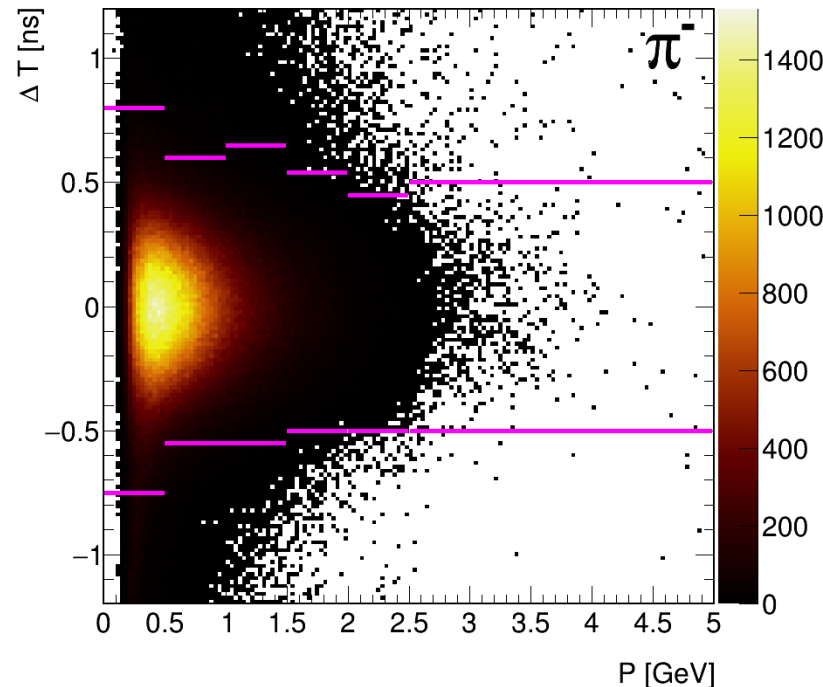
## Electron ID

Same as data, except for the sampling fraction cut.



## Charged Pions ID

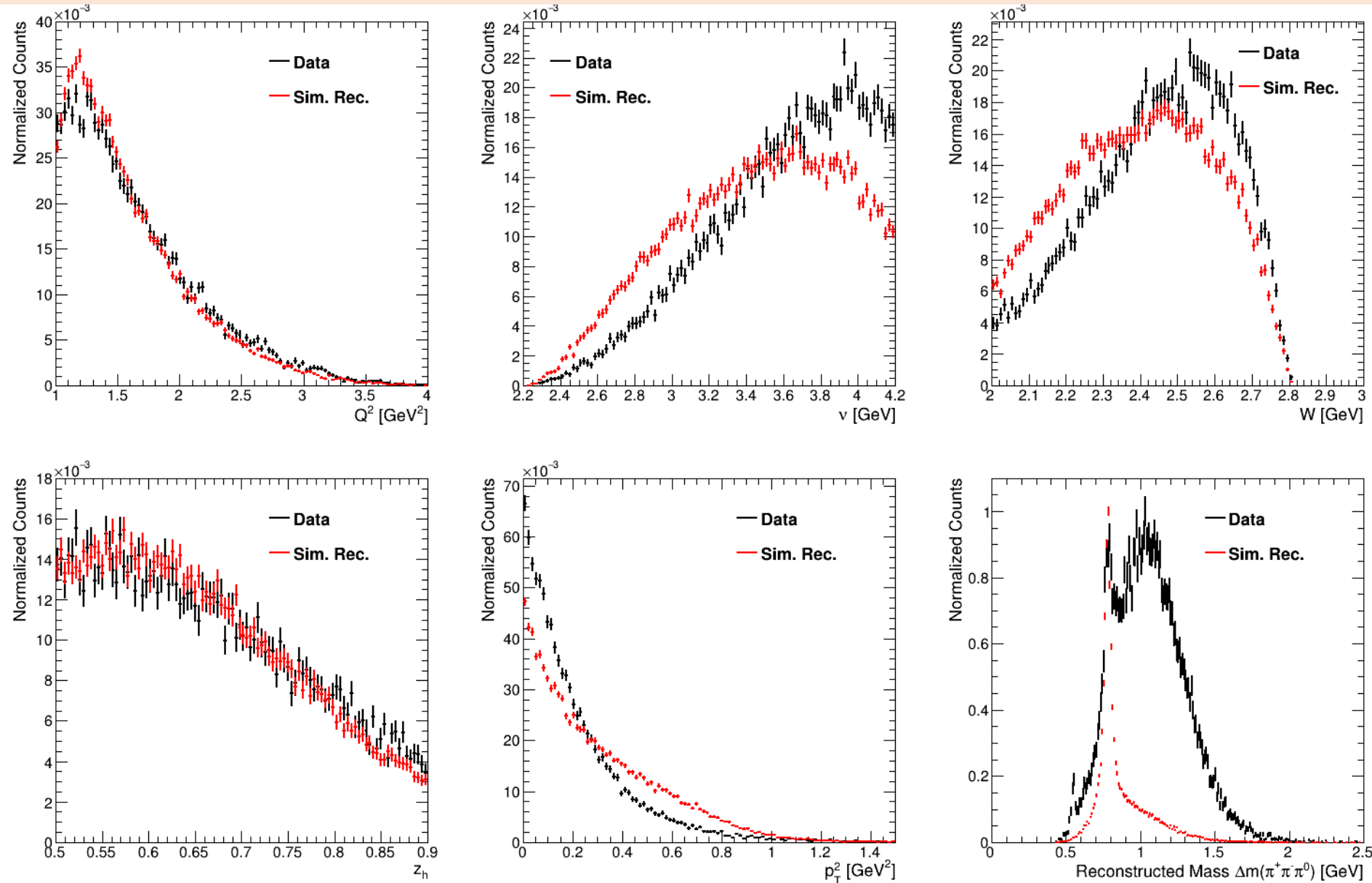
Same as data, except for the TOF cuts for  $\pi^-$ .



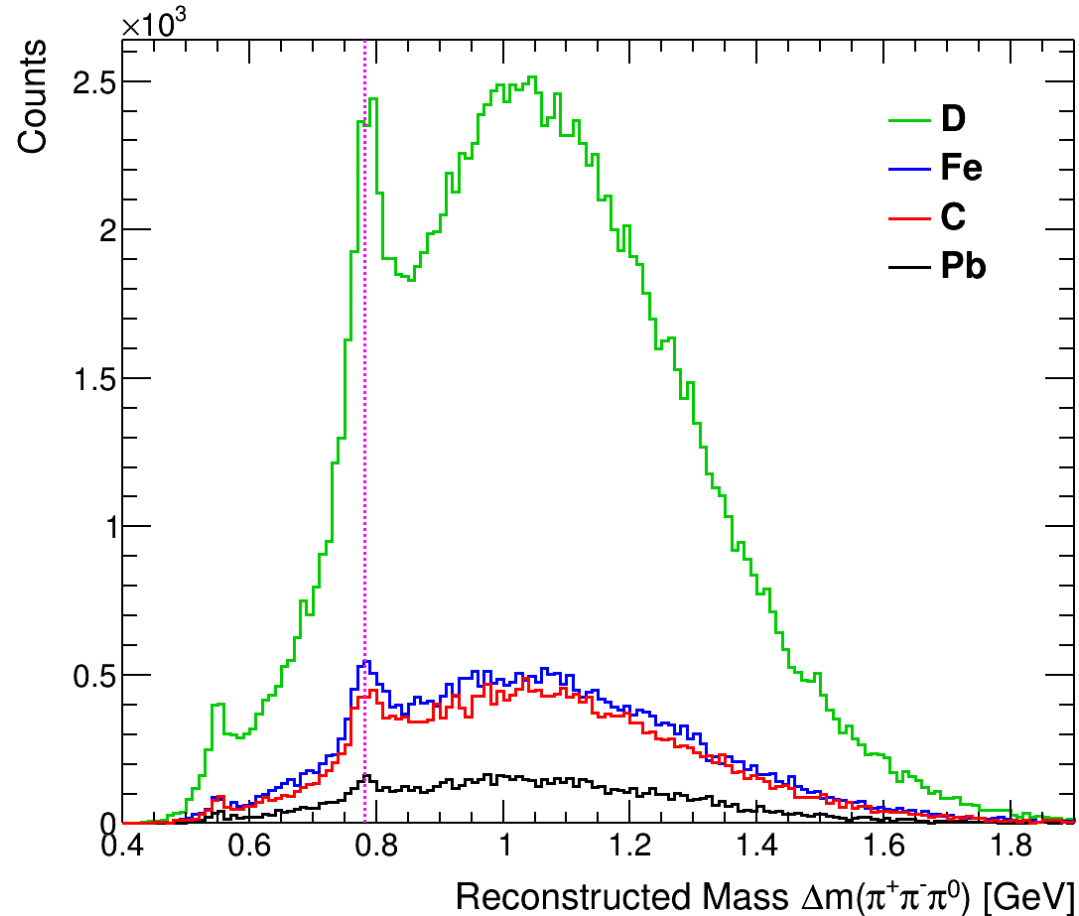
## Overview of cuts

- Same Photons ID, except for the energy correction factors.
- No vertex cuts.
- DIS cuts.
- Same cut for exclusion of neutral kaons than data.
- Same cut for invariant mass of neutral pions.

# Comparison between Data and Sim. Reconstructed



# Background Subtraction



## How to count the number of measured $\omega$ mesons?

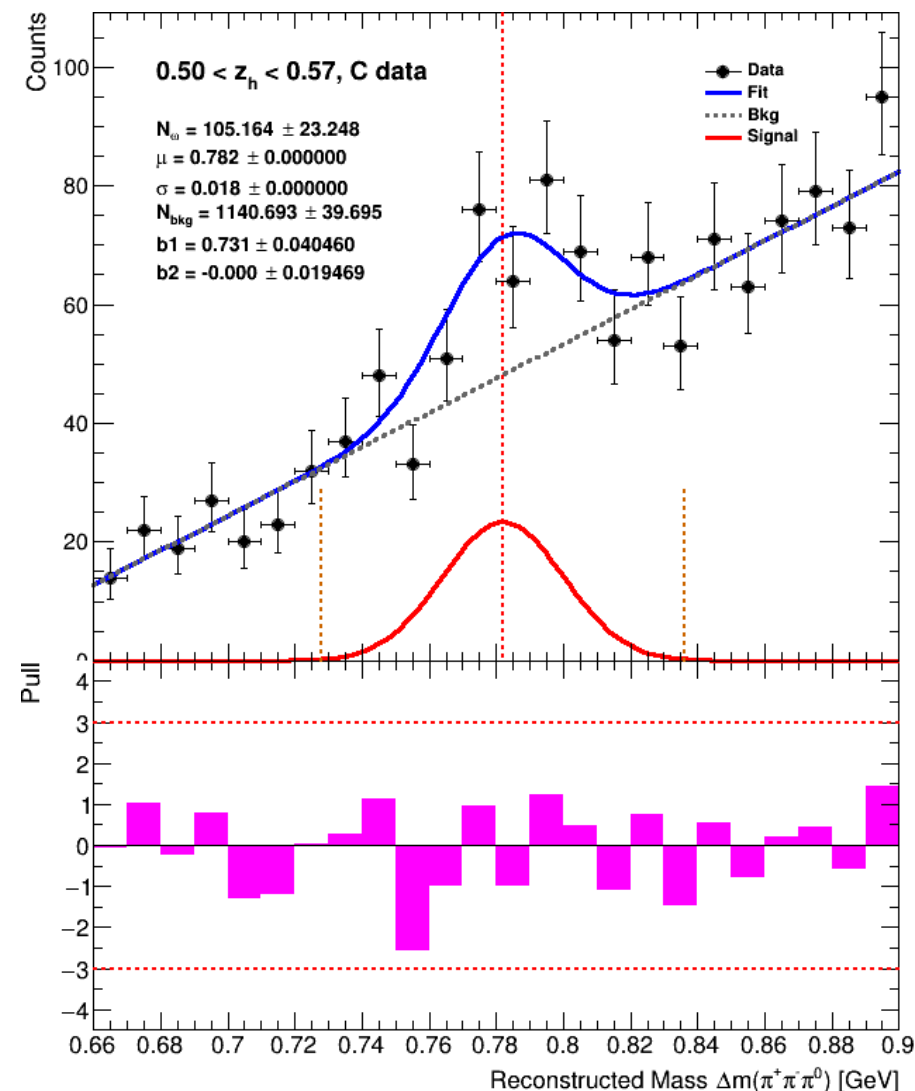
Two methods for background subtraction were studied:

- Background and signal fitting
- Event-mixing technique

# Background and Signal Fitting: Description

- Fit function:
  - $f(x) = N_{\omega} G(x; \mu, \sigma) + N_b p_2(x; b_1, b_2)$
  - Extended model:  $N_{\omega} + N_b = N_{tot}$
- Parameters  $\mu$  and  $\sigma$  are **fixed** from preliminary fits on all data.
- Count of hadrons by integrating signal component
- Primary tool: **ROOT's RooFit**
- Maximum likelihood fit
  - Event-by-event basis
  - Longer computation time than least squares method
  - Limitation: not known tests to measure goodness of fit.

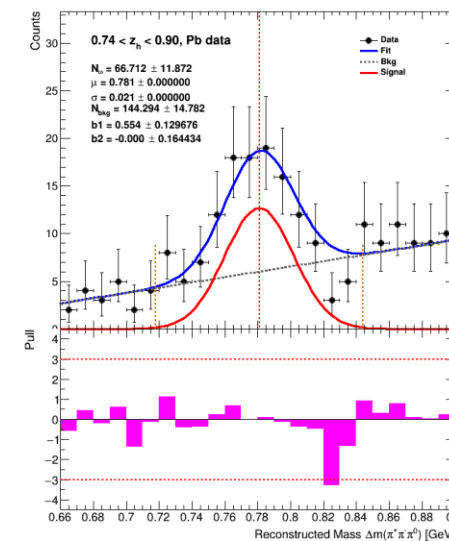
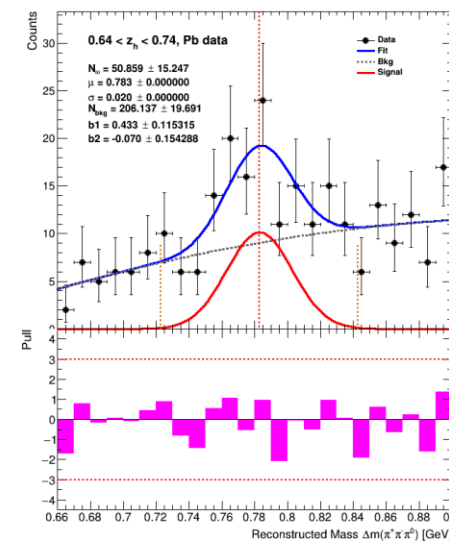
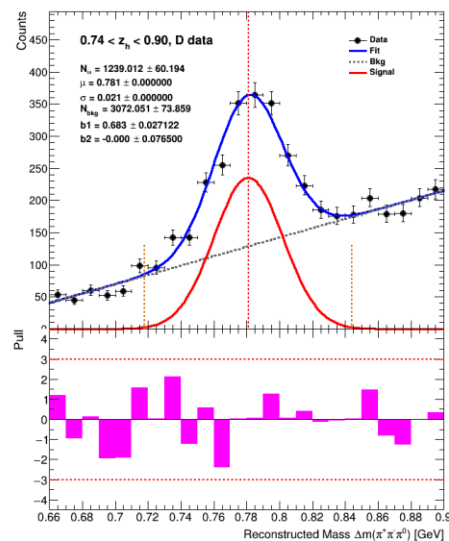
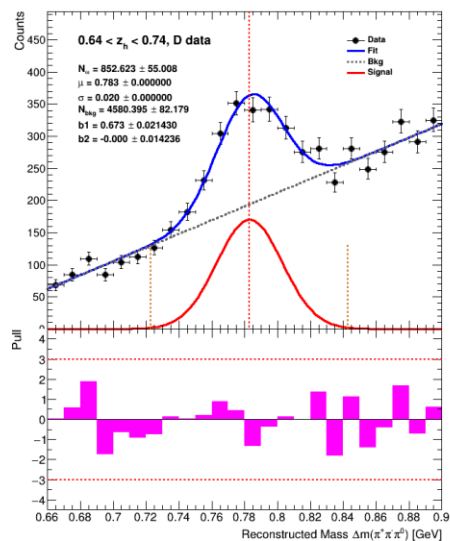
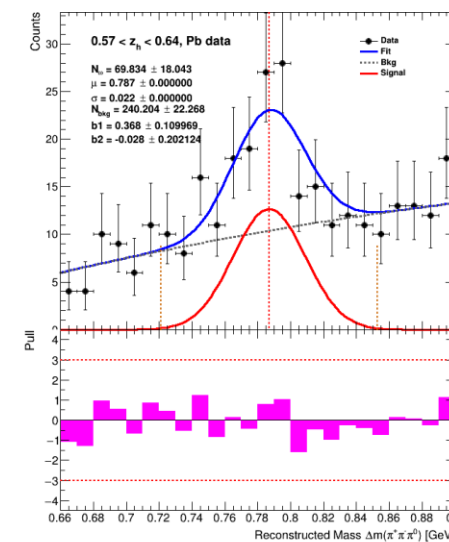
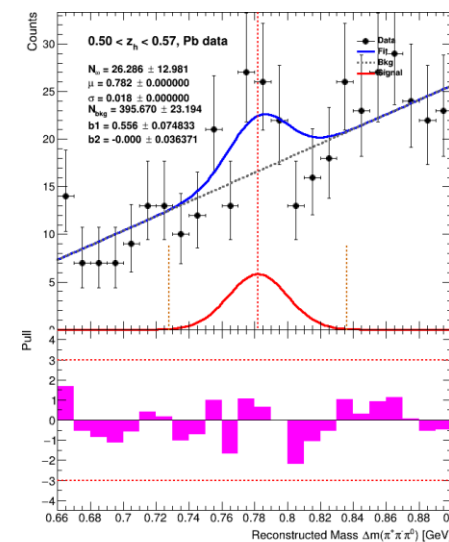
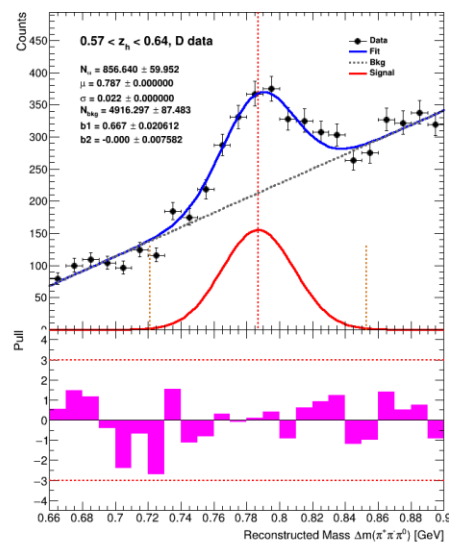
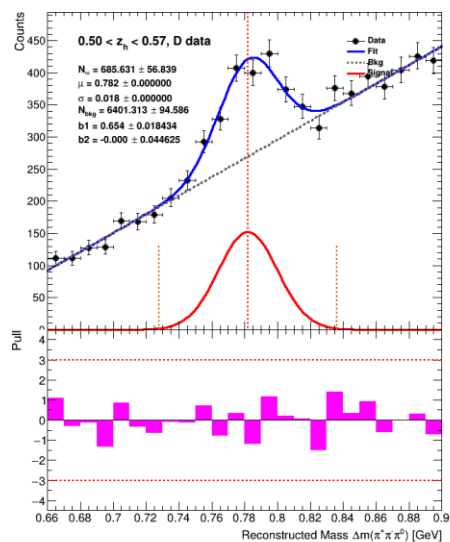
$$\text{pull}(x_i) = \frac{\text{data}(x_i) - \text{model}(x_i)}{\text{data error}(x_i)}$$



# Background and Signal Fitting: Application

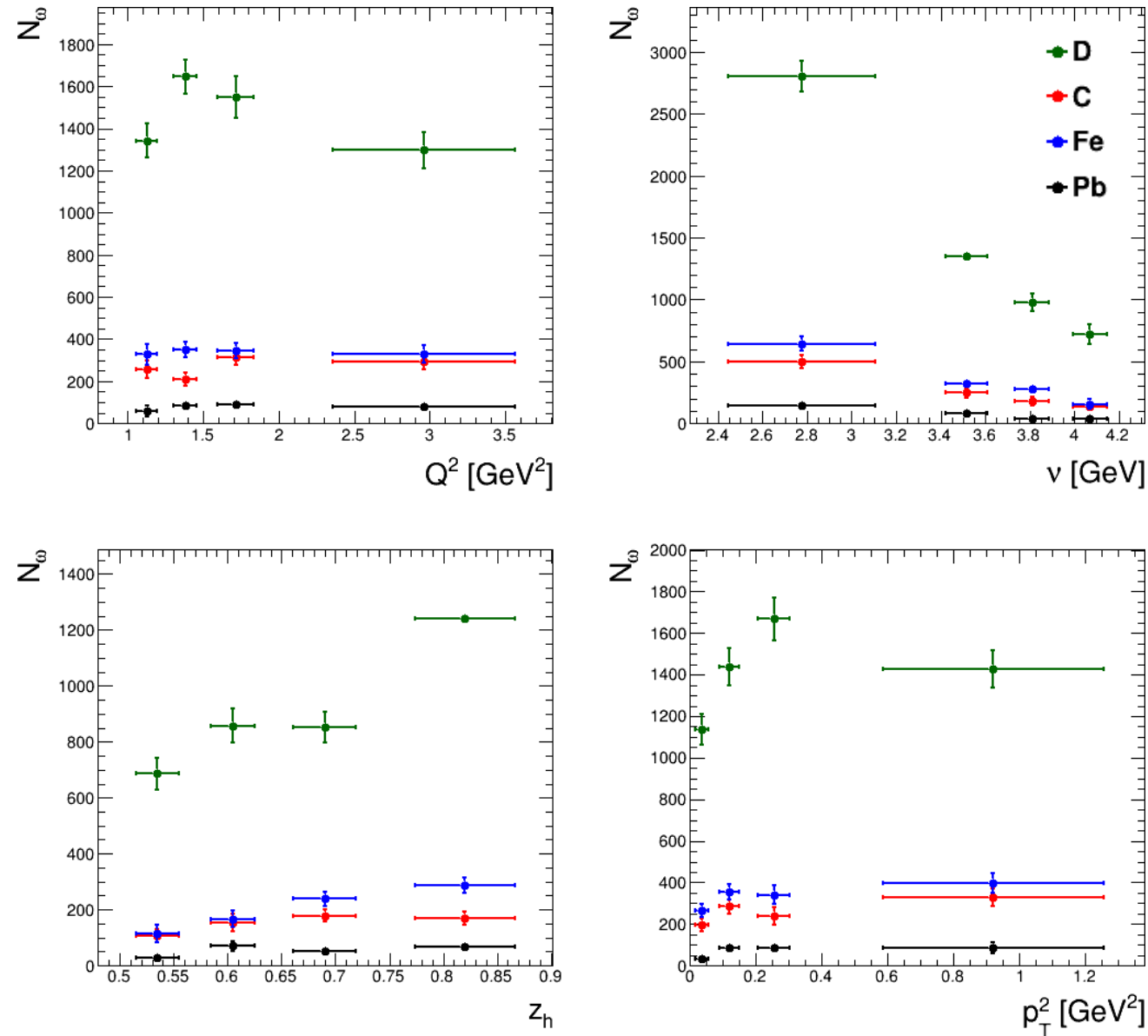
On Deuterium data

On Lead data



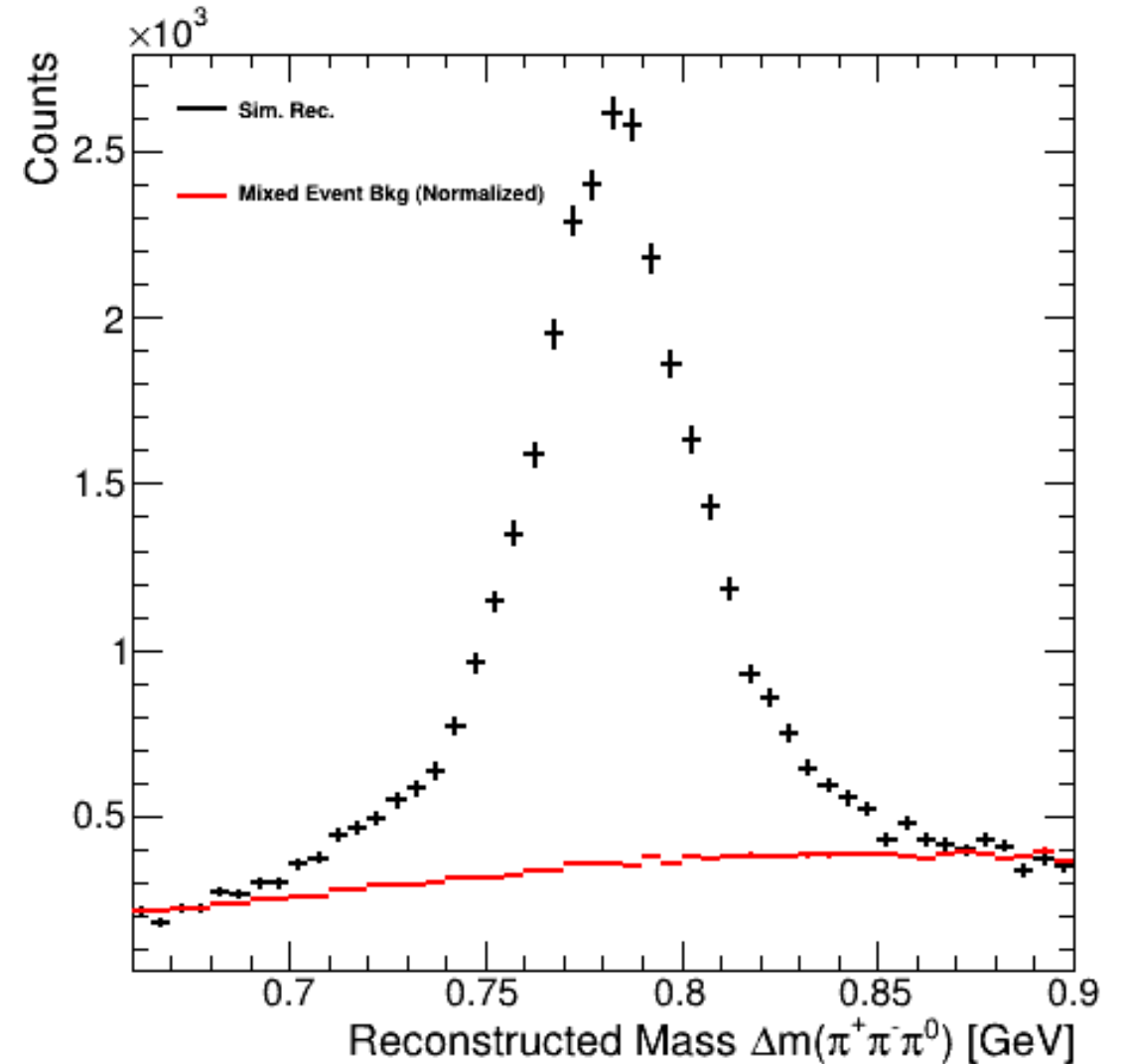


# Background and Signal Fitting: Extracted $N_\omega$



# Reconstructed Particles ID: Event Mixing

Similarly to data and generated particles, one can subtract the combinatorial background by using **the event mixing method**.



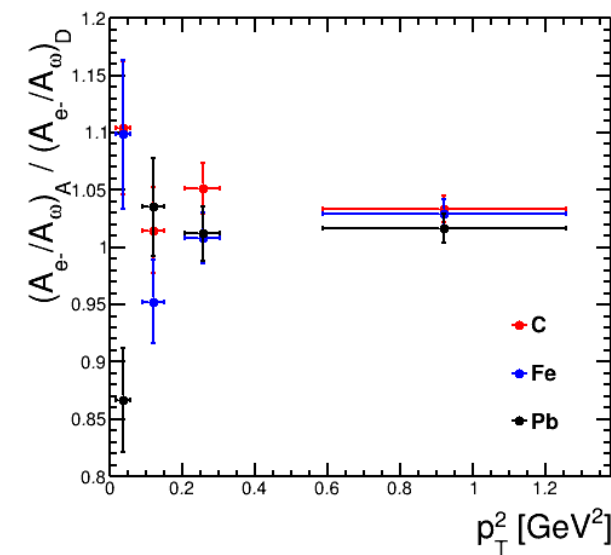
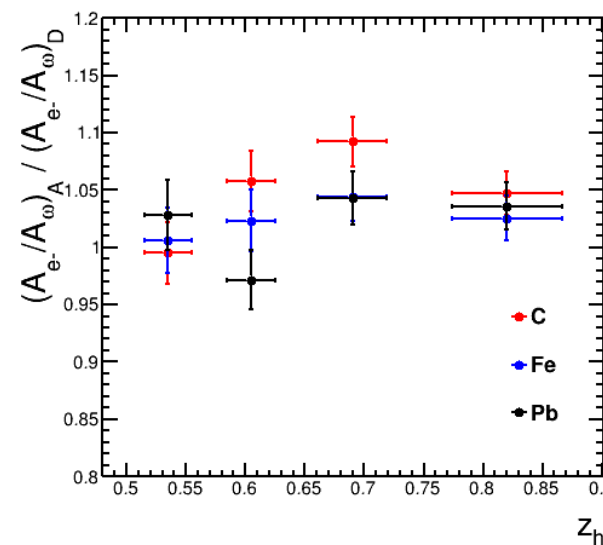
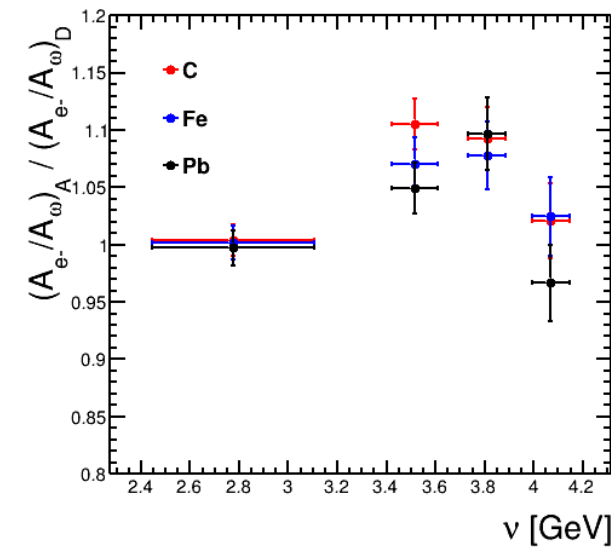
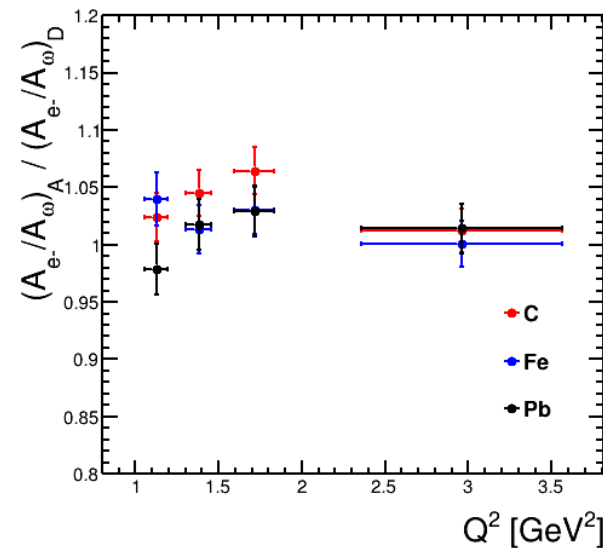
# Acceptance Correction: Application

$$A_{\omega} = \frac{N_{\omega}^{rec}(Q^2, \nu, z_h, p_T^2)}{N_{\omega}^{gen}(Q^2, \nu, z_h, p_T^2)}$$

The Acceptance Correction Factor is applied to the number of detected particles on a bin-by-bin basis:

$$\rightarrow N_{\omega}^{corr} = \frac{N_{\omega}}{A}$$

$$\Rightarrow R_A^h \equiv \frac{\left( \frac{N_h^{corr}(Q^2, \nu, z, p_T^2)}{N_e^{corr}(Q^2, \nu)} \right)_A}{\left( \frac{N_h^{corr}(Q^2, \nu, z, p_T^2)}{N_e^{corr}(Q^2, \nu)} \right)_D} = \frac{\left( \frac{A_e(Q^2, \nu)}{A_h(Q^2, \nu, z_h, p_T^2)} \right)_A}{\left( \frac{A_e(Q^2, \nu)}{A_h(Q^2, \nu, z_h, p_T^2)} \right)_D} R_A^h$$

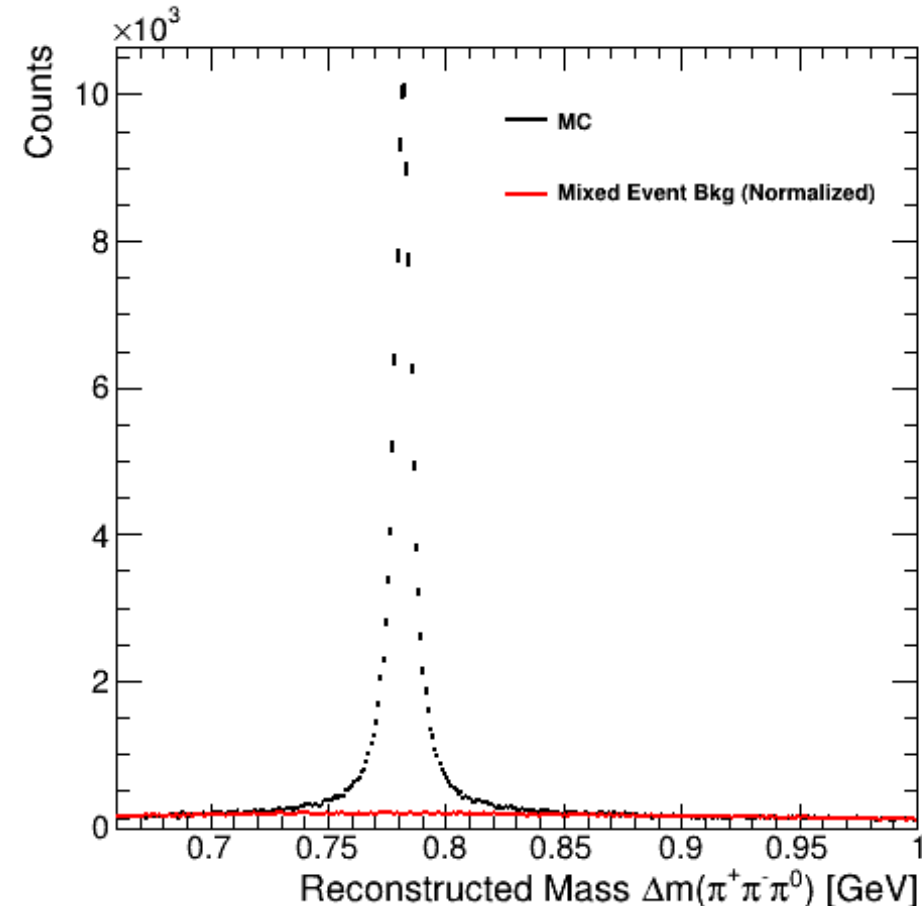


# Generated Particles ID: Background Subtraction

Since there is **no parent particle information**, the only way to count the generated  $\omega$  mesons is by reconstructing their invariant mass through their three-pion decay.

However, one of the disadvantages of this method is that some combinatorial background will appear under the  $\omega$  signal.

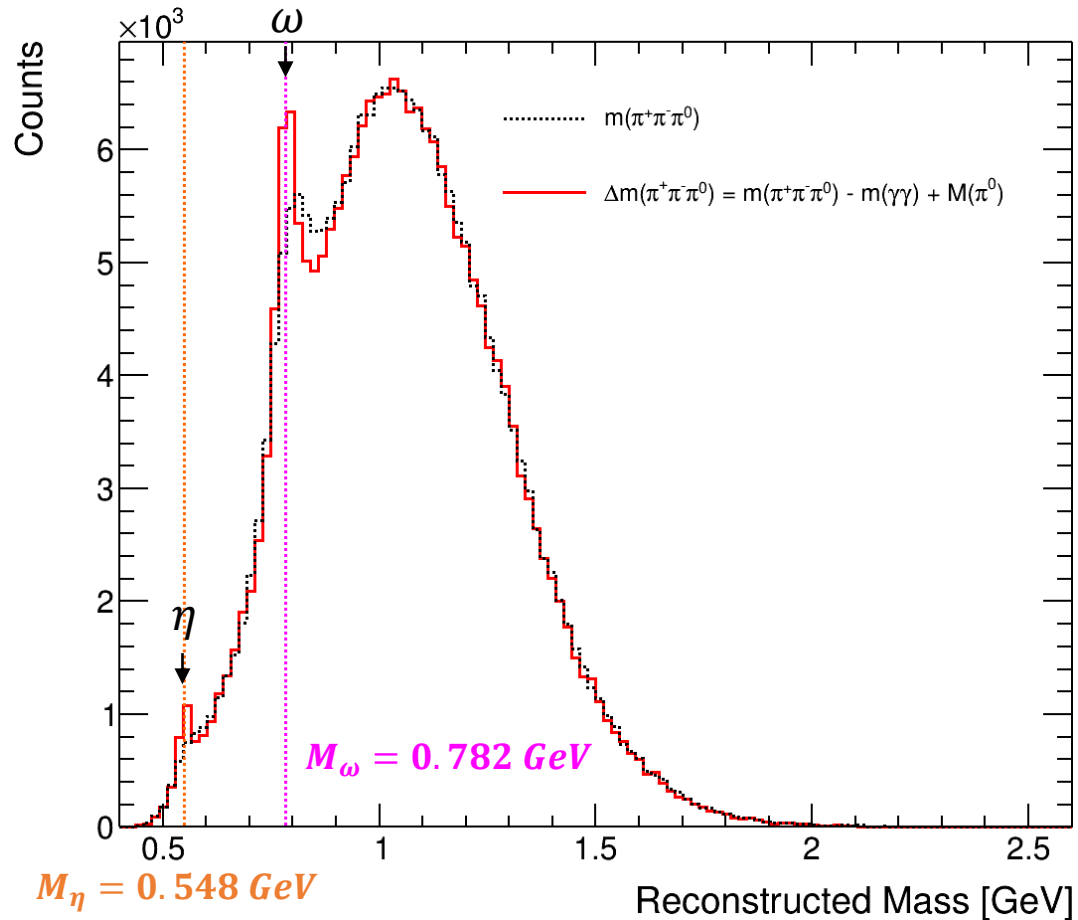
To subtract it, one can employ the same method used for data: **the event mixing**.



# Reconstruction of the $\omega$ meson - II

An alternative mass expression is preferred: the **invariant mass difference**,

$$\Delta m(\pi^+\pi^-\pi^0) = m(\pi^+\pi^-\pi^0) - m(\gamma\gamma) + M_{\pi^0}, \quad M_{\pi^0} = 0.135 \text{ GeV}$$

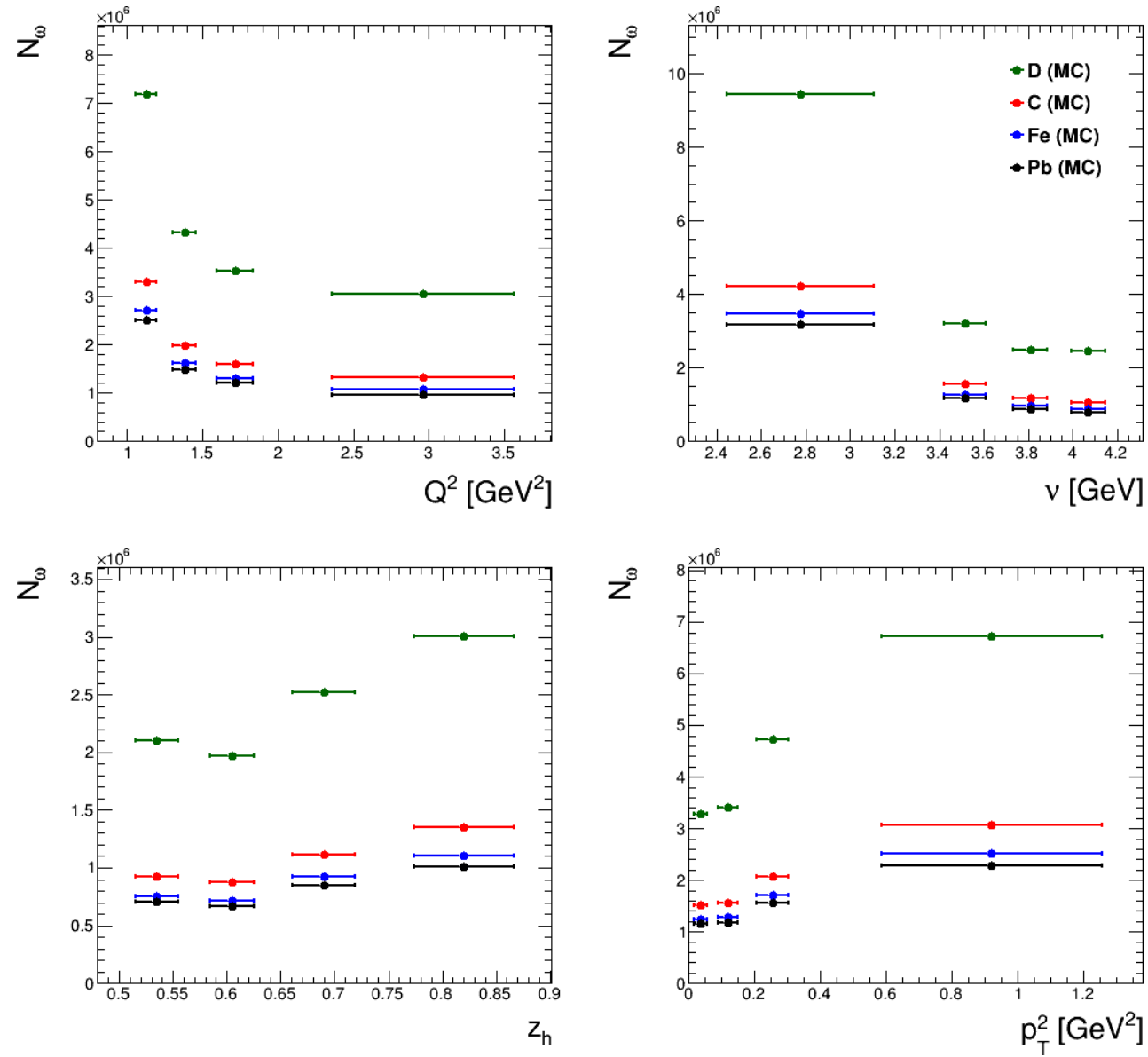


- Technique widely used by other experimental collaborations.
- The technique exploits the fact that two or more invariant masses can be defined due to two or more consecutive decays.

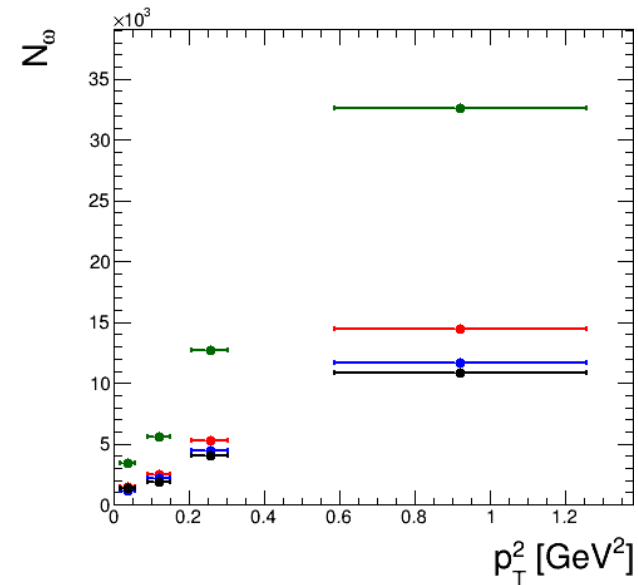
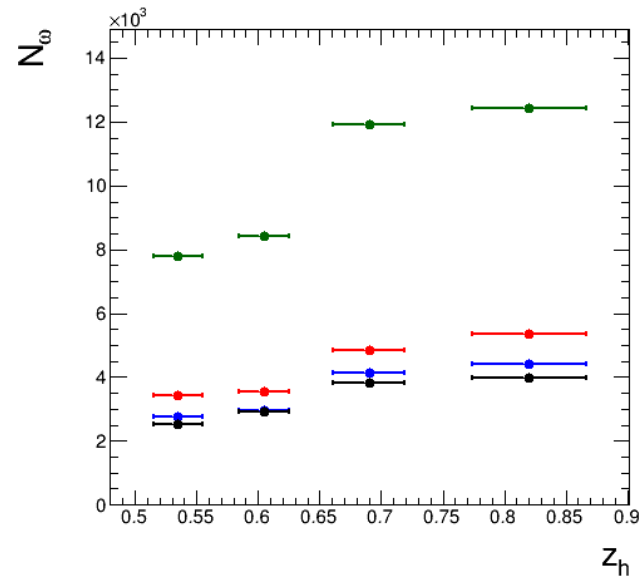
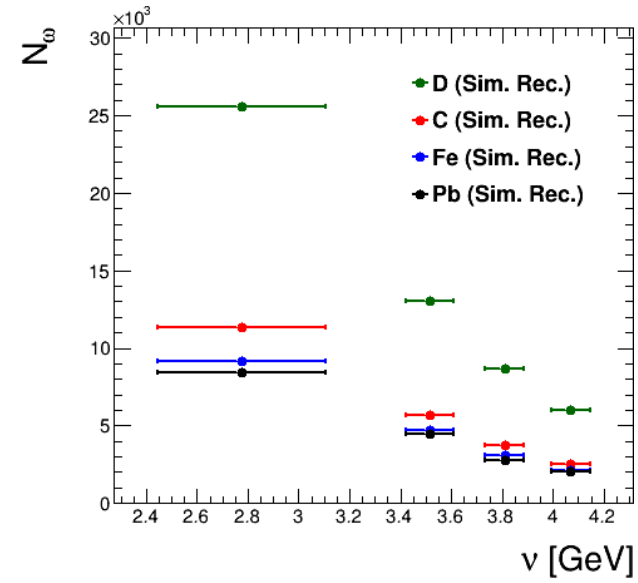
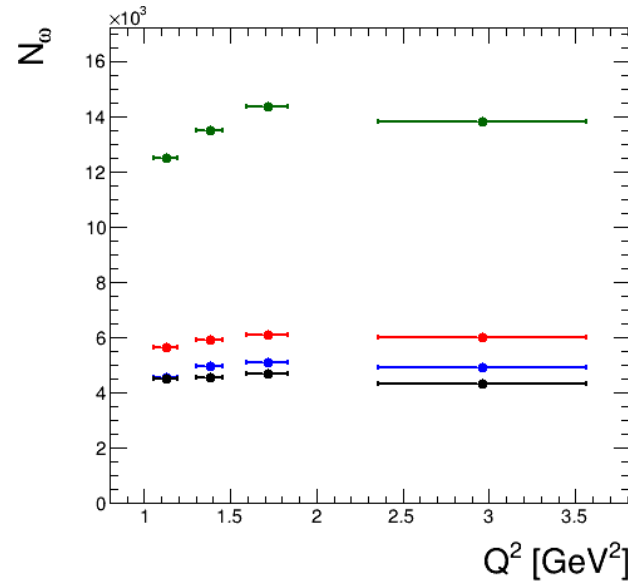
## **Benefits:**

1. The  $\omega$  and  $\eta$  peaks gets narrower and higher
2. The overall background shape does not change

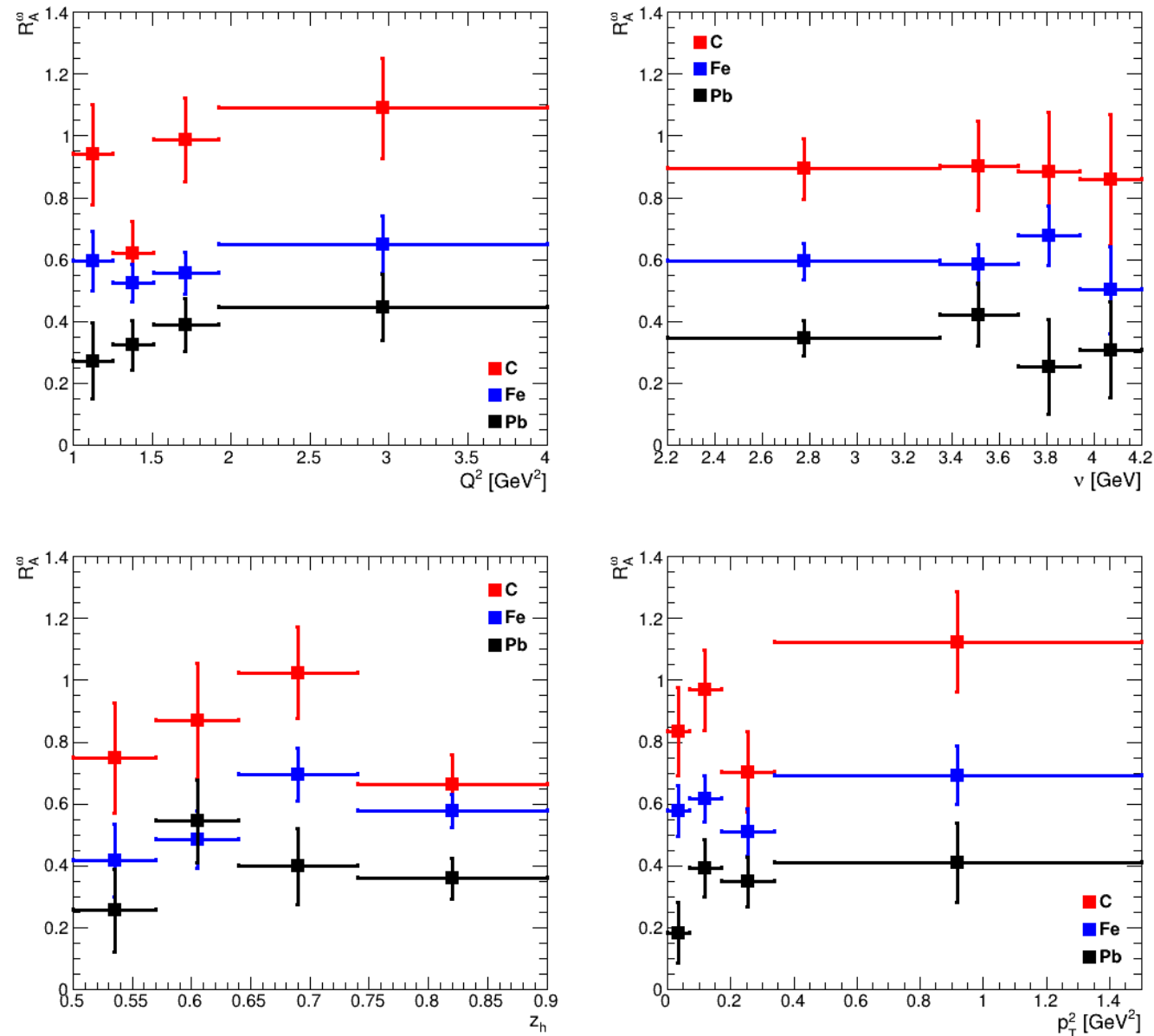
# Generated Particles ID: Extracted $N_{\omega}$



# Reconstructed Particles ID: Extracted $N_\omega$

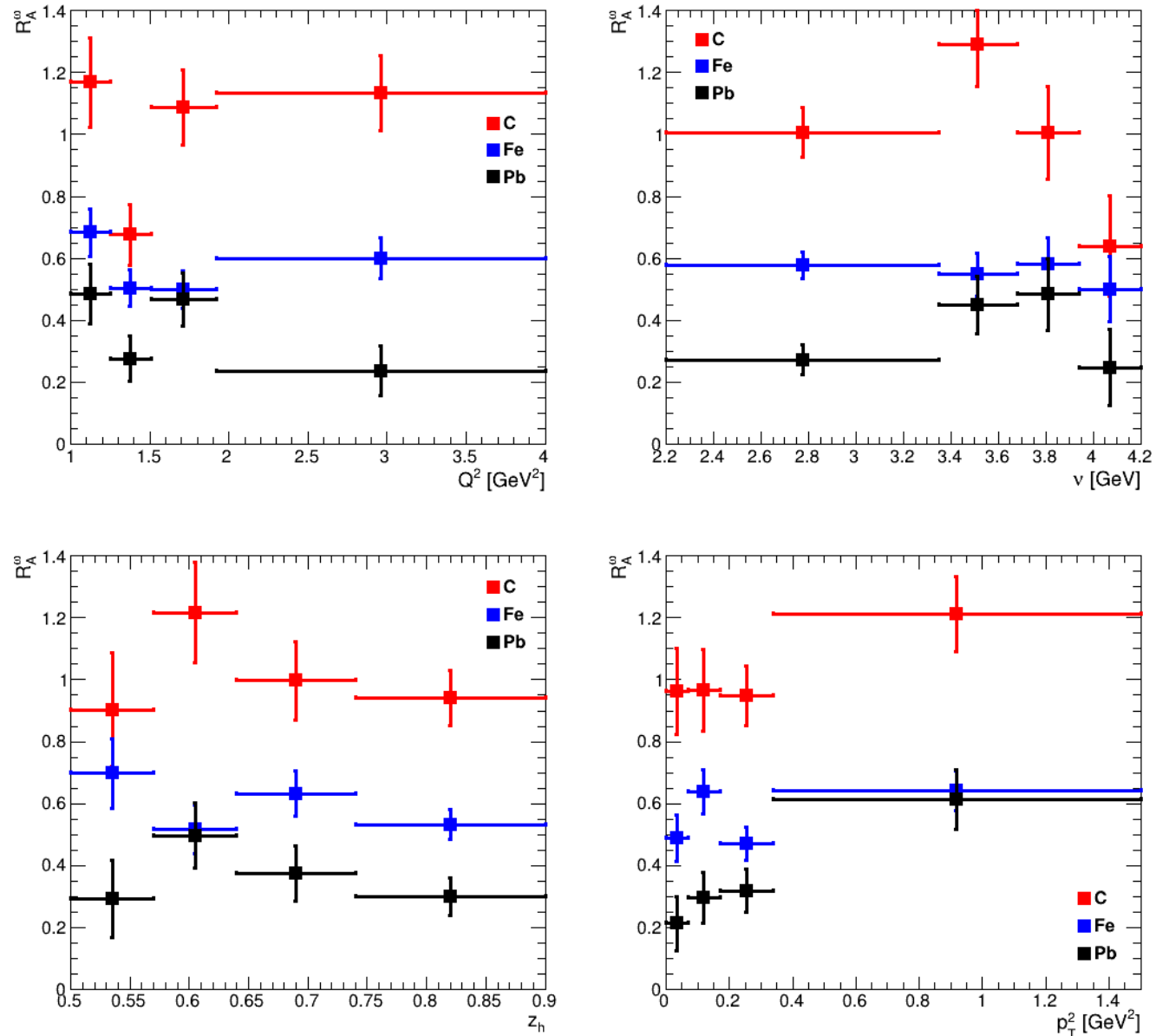


# Results: 1-D MR of the $\omega$ meson - Method: Bkg Fitting

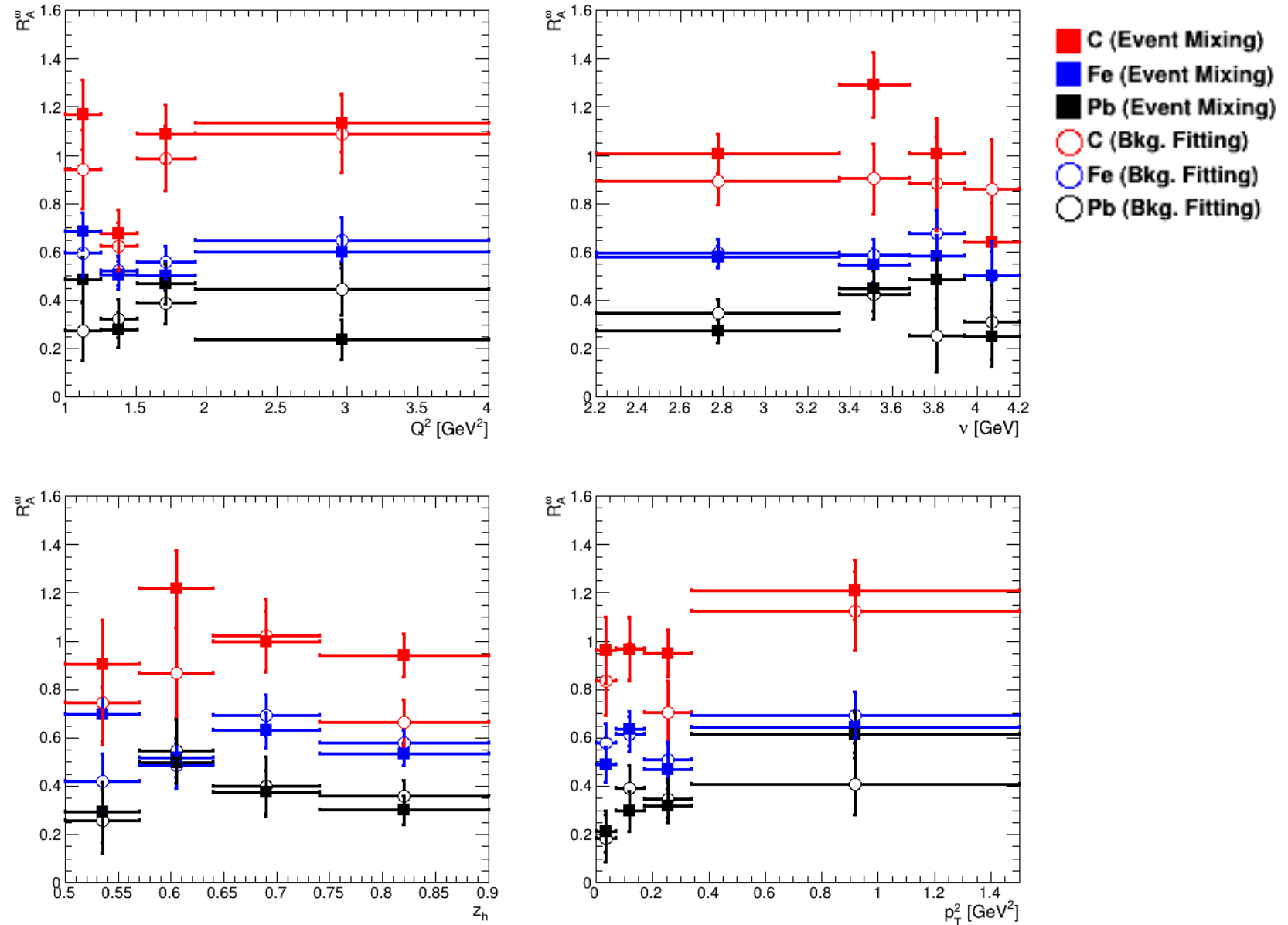




# Results: 1-D MR of the $\omega$ meson - Method: Event Mixing

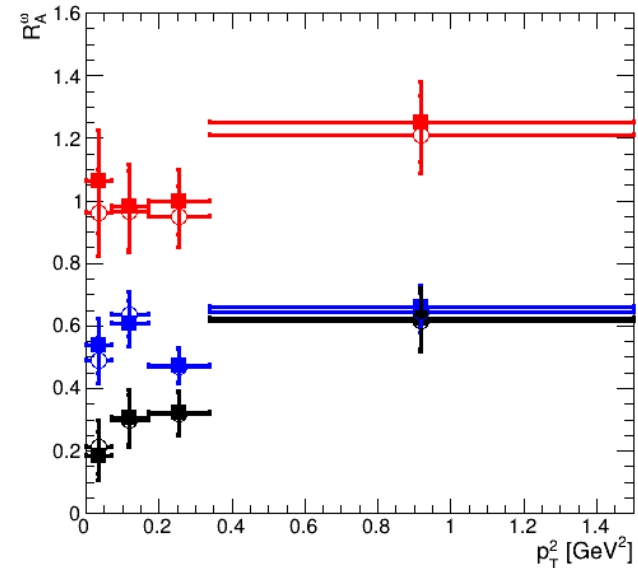
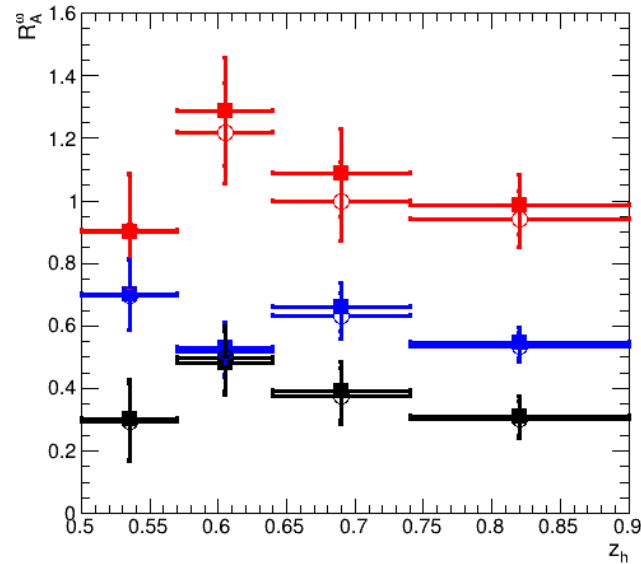
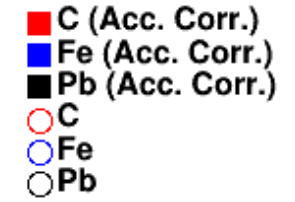
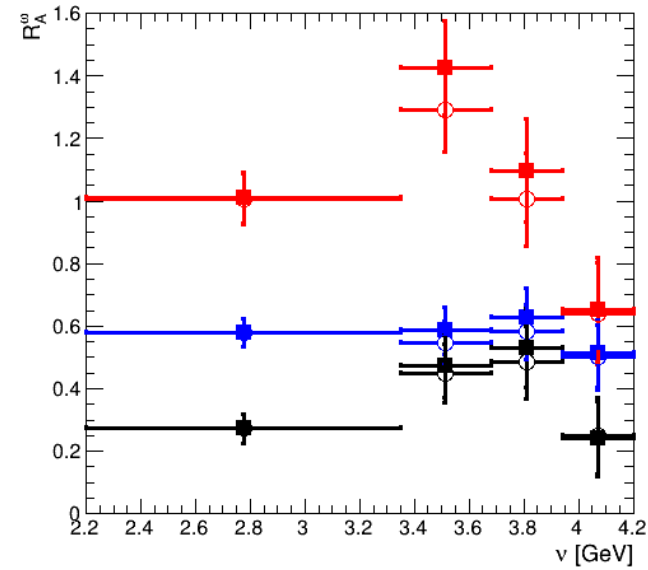
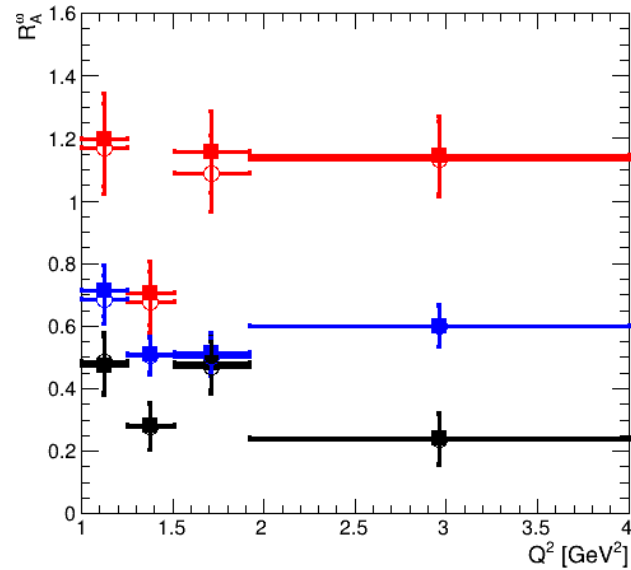


# Results: 1-D MR of the $\omega$ meson - Comparison between methods



# Results: 1-D MR of the $\omega$ meson - Acceptance Corrected vs Uncorrected

Background  
subtraction method:  
event-mixing.

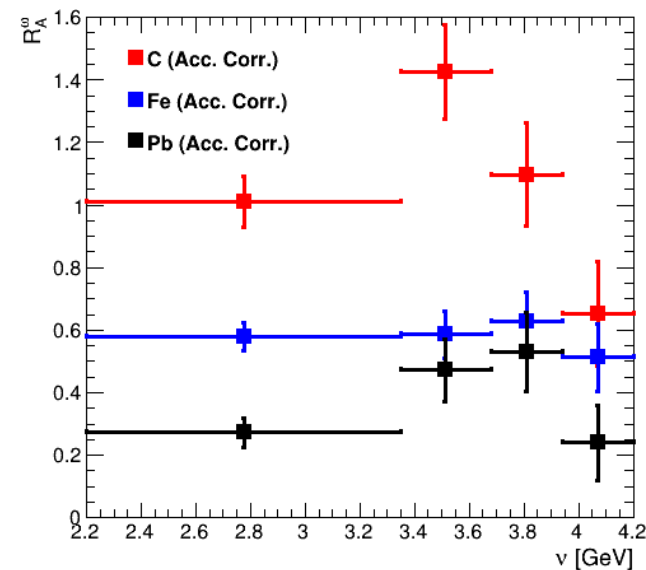
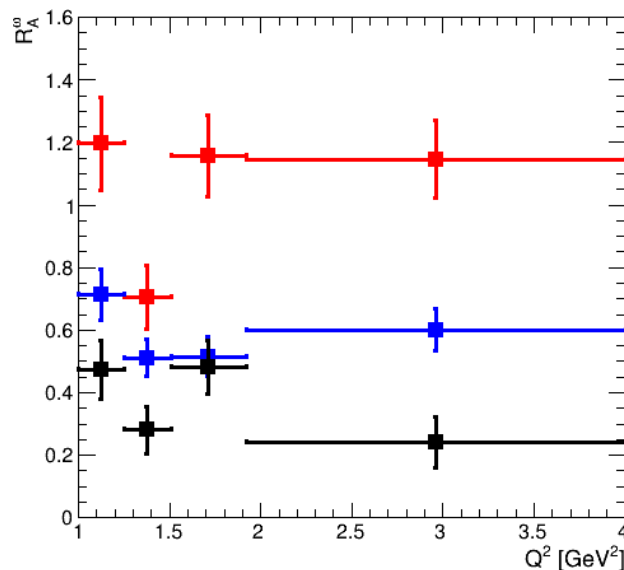


# Conclusions: 1-D MR of the $\omega$ meson

**In all plots:**  
The nuclear environment attenuates the production of the  $\omega$  meson.

**In MR vs  $Q^2$ :**

- Almost no dependence on  $Q^2$ .
- Expected from previous analyses.

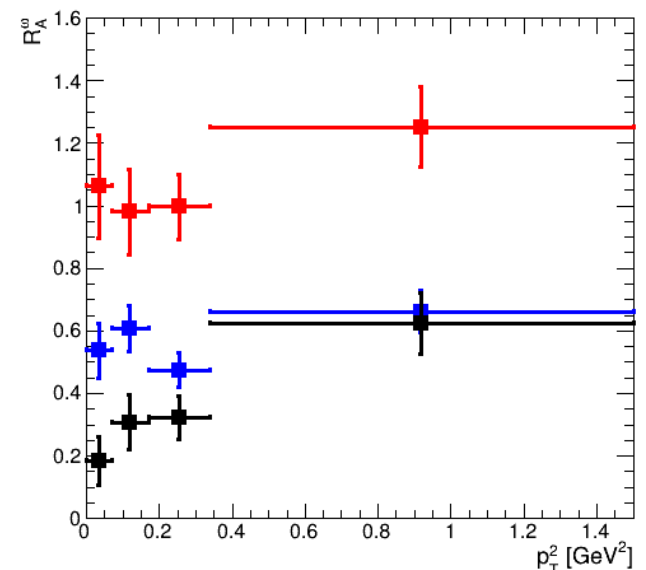
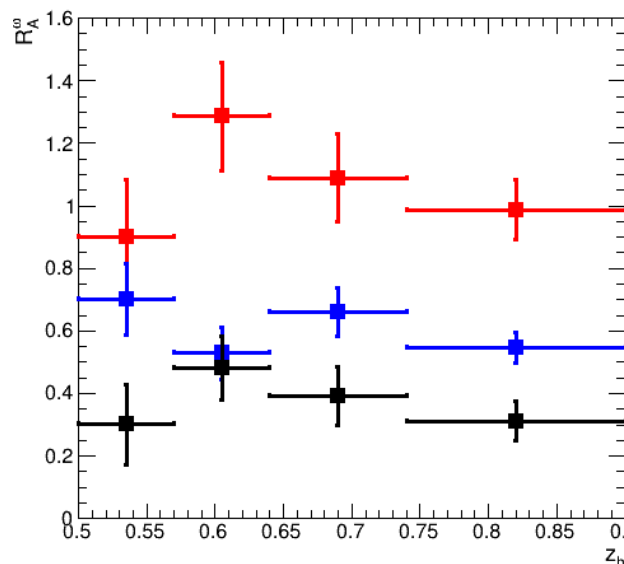


**In MR vs  $\nu$ :**

- MR slightly decreases when  $\nu$  increases.
- **Unexpected** from previous analyses.

**In MR vs  $z_h$ :**

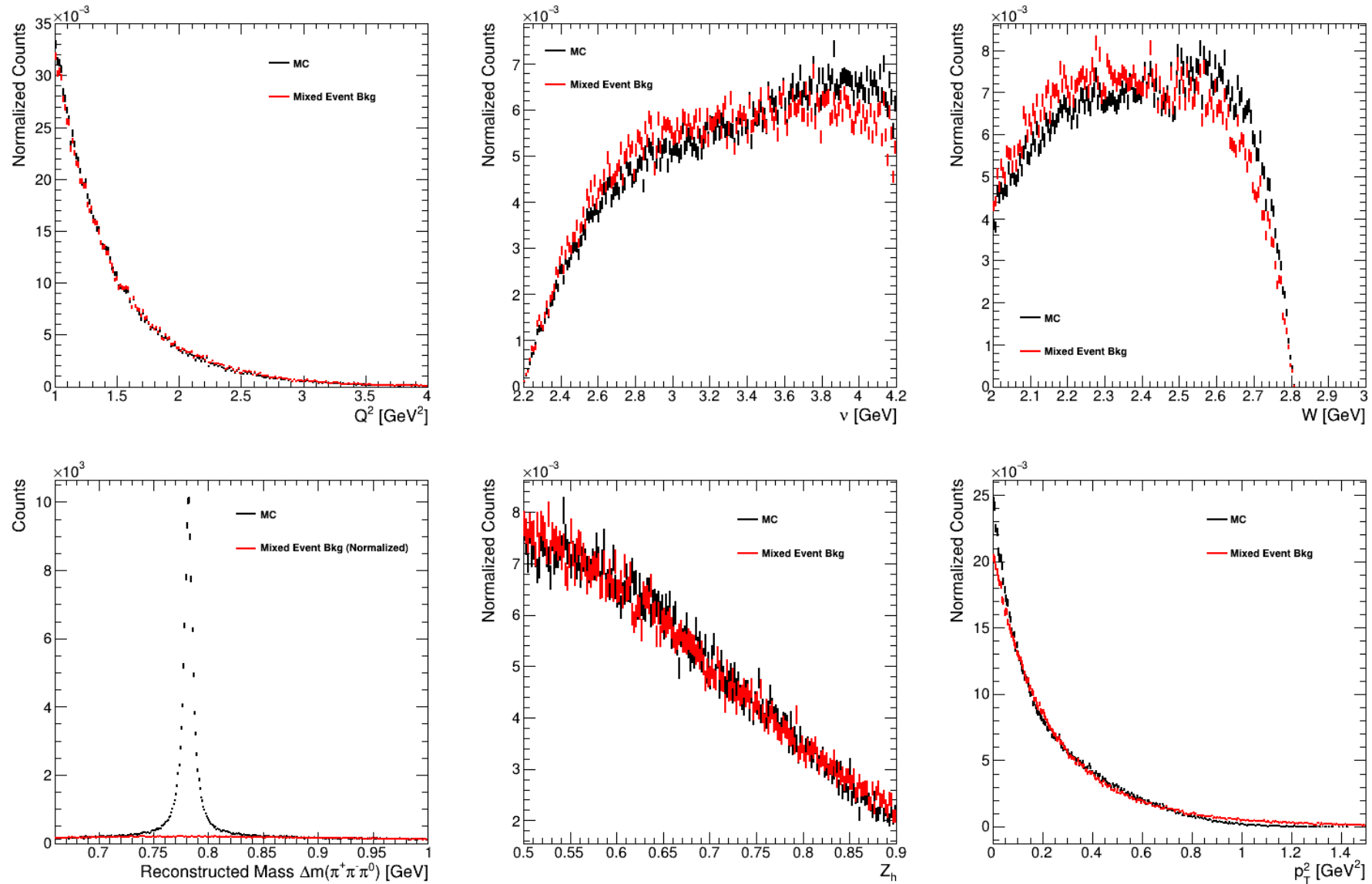
- MR decreases when  $z_h$  increases.
- Expected from previous analyses.



**In MR vs  $p_T^2$ :**

- MR increases when  $p_T^2$  increases.
- Expected from previous analyses.
- **Cronin effect** holds.

# Generated Particles ID: Comparison with Event-Mixing



# Reconstructed Particles ID: Comparison with Event-Mixing

