

Overview

Introduction

MonteCarlo and Data comparisons

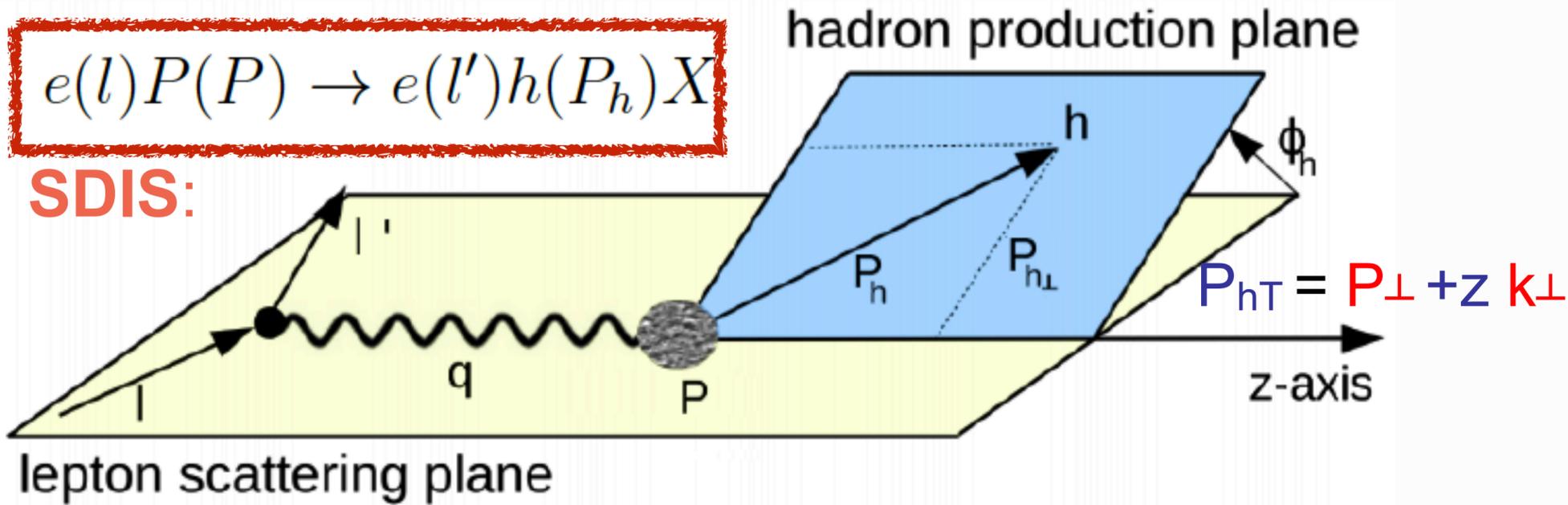
Multiplicity extraction

Phase space effects for transverse momentum extractions

Only π^+ is shown but the analysis is done also on π^-

$$e(l)P(P) \rightarrow e(l')h(P_h)X$$

SDIS:



$Q^2 = -(l-l')^2$	Transfer momentum
$W^2 = (P+q)^2$	Squared Invariant mass of the final state
$x = \frac{Q^2}{2P \cdot q}$	Quark longitudinal momentum fraction
$y = \frac{P \cdot q}{P \cdot l}$	Fractional energy of the virtual photon
$z = \frac{P \cdot P_h}{P \cdot q}$	Final state hadron momentum fraction
P_{hT}	Transverse Momentum of the hadron

Multiplicity definition:

$$\frac{d^2 M^h(x, Q^2, z, P_{hT}^2)}{dz dP_{hT}^2} = \left(\frac{d^4 \sigma^h}{dx dQ^2 dz dP_{hT}^2} \right) / \left(\frac{d^2 \sigma^{DIS}}{dx dQ^2} \right)$$

Rewriting the cross sections in terms of structure functions:

$$m_N^h(x, z, P_{hT}^2, Q^2) = \frac{\pi F_{UU,T}(x, z, P_{hT}^2, Q^2) + \pi \epsilon F_{UU,L}(x, z, P_{hT}^2, Q^2)}{F_T(x, Q^2) + \epsilon F_L(x, Q^2)}$$

- Accessing quark and hadron transverse momentum

- Accessing fragmentation function

Structure Function: $F \propto DF \otimes FF$
 Partonic Distribution Function. Fragmentation Function

Fragmentation Function

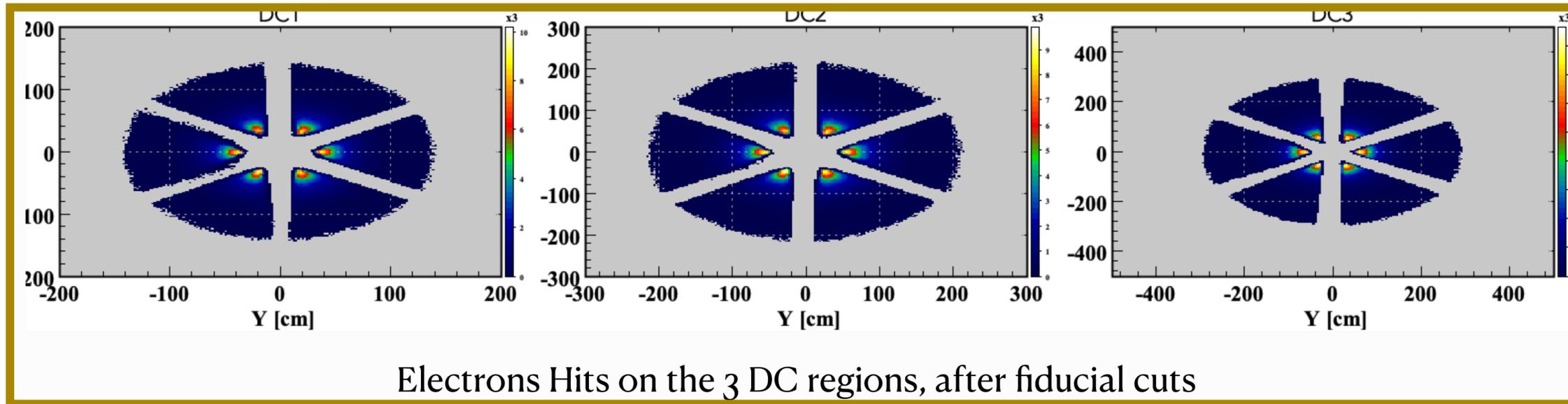
$$D_i^H(z) \approx \int dx^- e^{-iP_H^+ x^- / z} \text{Tr} \left[\underbrace{\gamma^+ \langle 0 | \Psi(0) \mathcal{P} | H(P_H^+) X \rangle \langle H(P_H^+) X | \mathcal{P}' \bar{\Psi}(x) | 0 \rangle}_{\text{Bi-Local Operator}} \right]$$

Non perturbative.
Needs to be extracted from data.

$Q^2 > 1 \text{ GeV}^2 \mid W > 2\text{GeV} \mid y < 0.75$

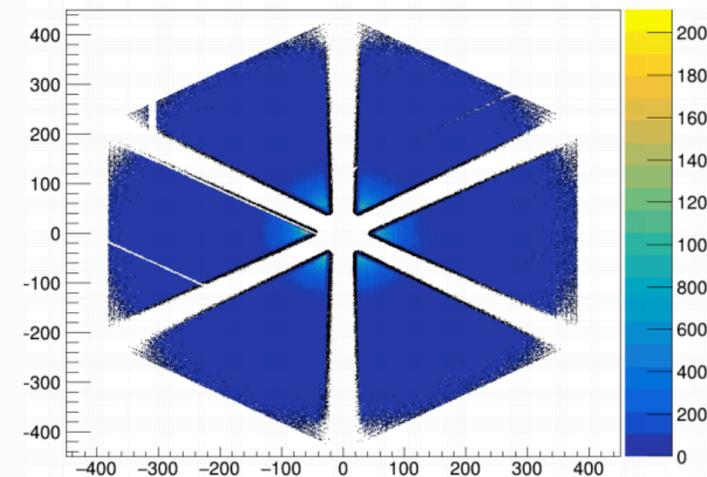
Pion momenta between 1.25 GeV/c - 5 GeV/c

Standard RG-A common cuts for π^+

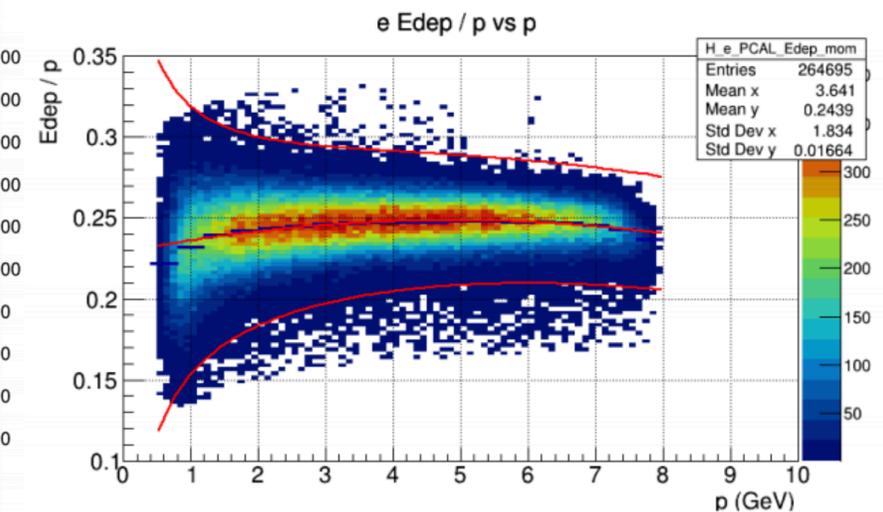


- Minimum energy cut PCAL
- Electron Vertex -12 cm to 13 cm
- Pion Vertex Cut:
|El Vertex - Pion Vertex| < 20 cm
- χ^2_{PID} : following the momentum parametrization of RG-A Common Analysis
- Missing Mass > 1.5 GeV/c

PCAL:



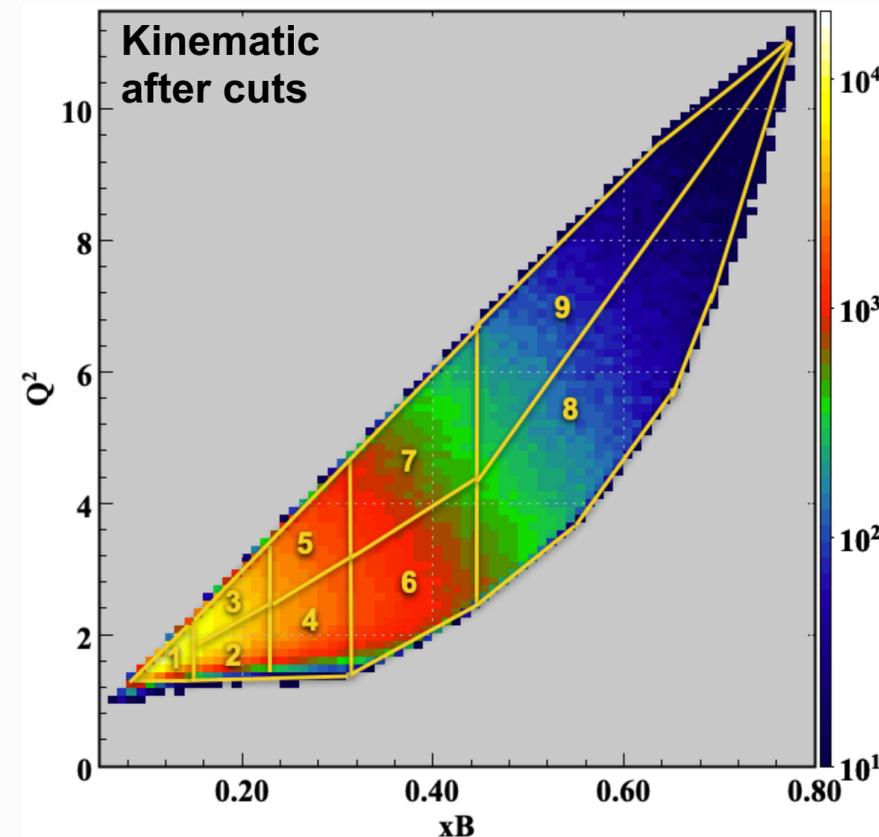
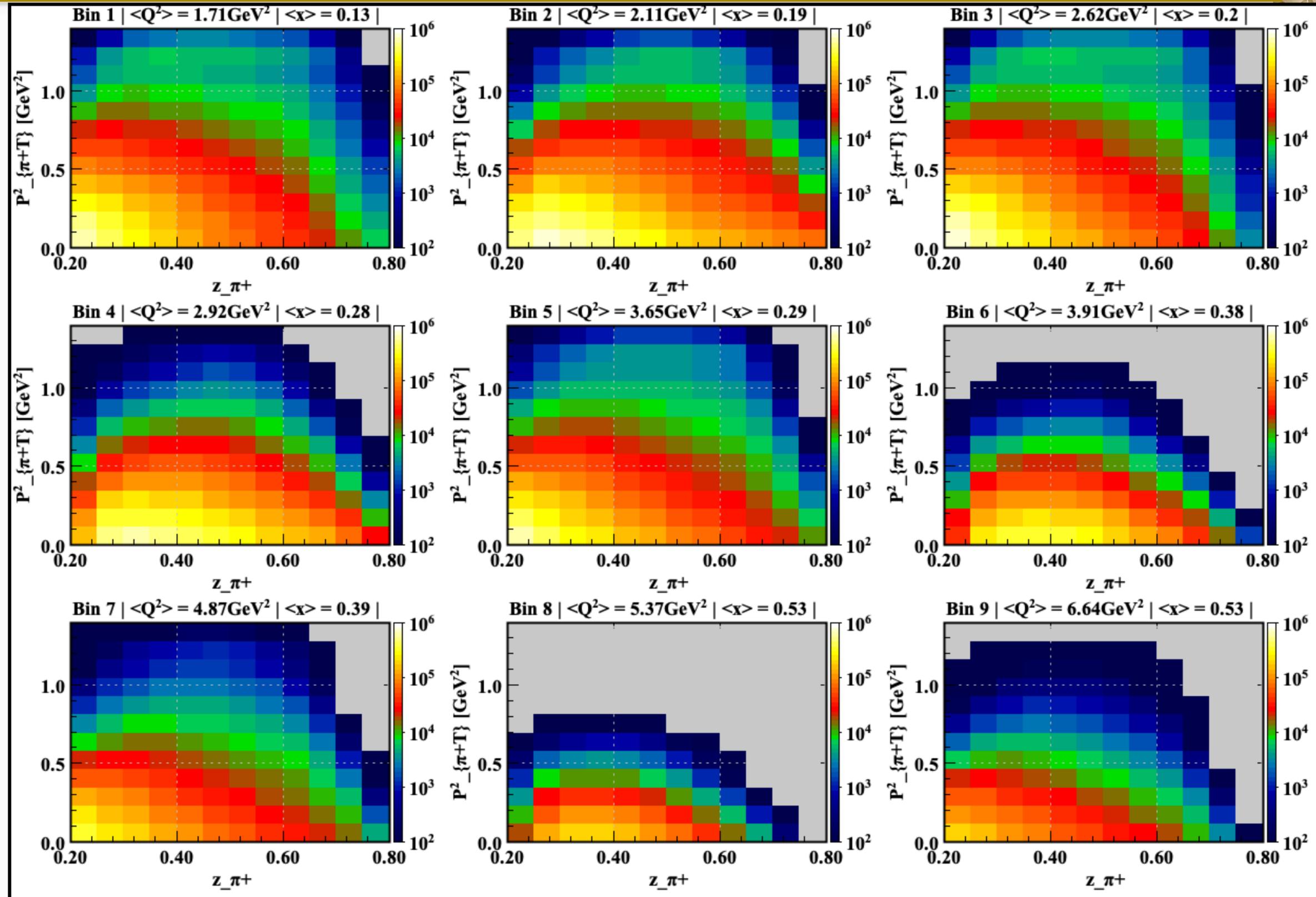
Sampling Fraction: 3.5 sigmas

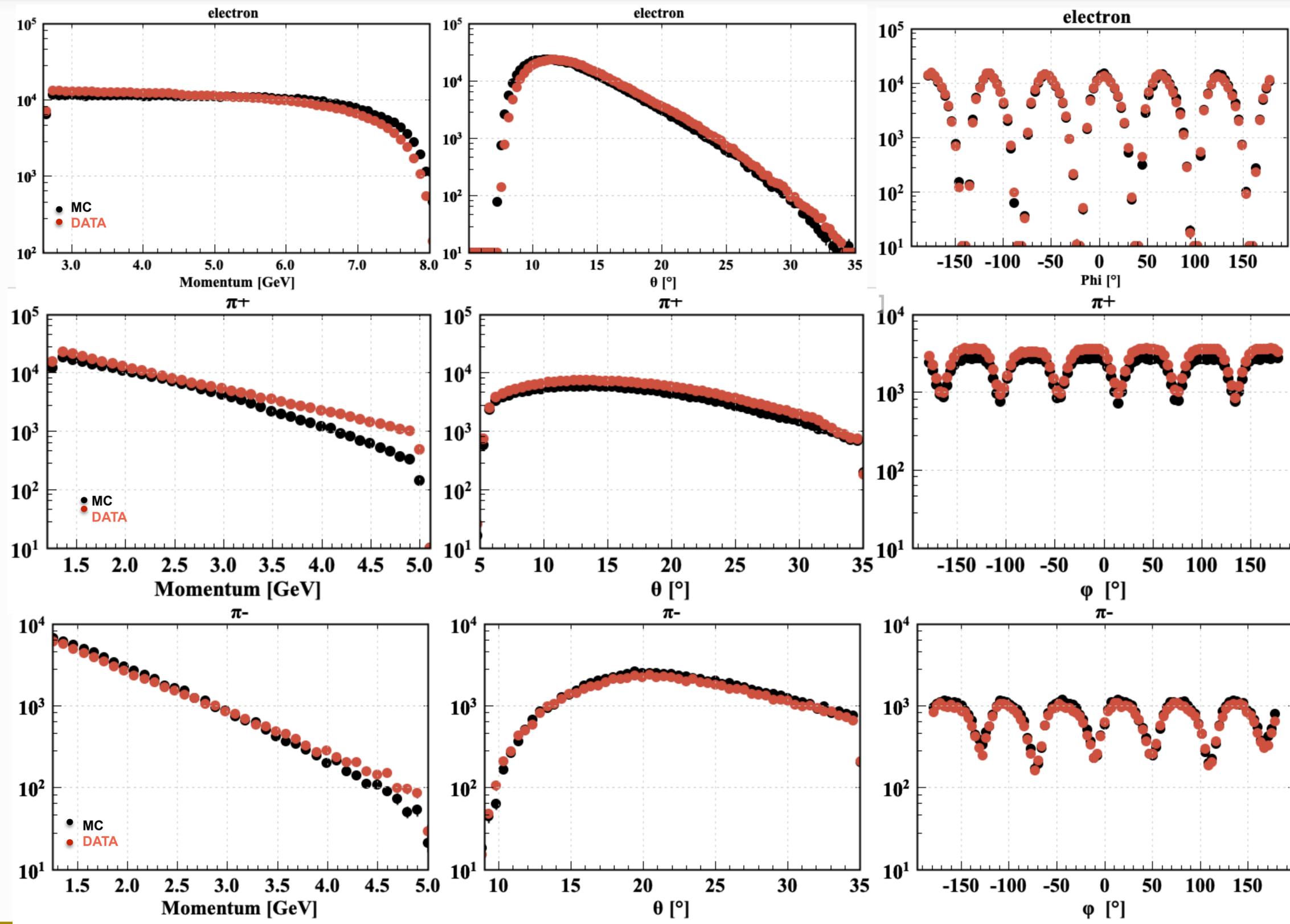


$$Q^2 > 1 \text{ GeV}^2 \mid W > 2 \text{ GeV} \mid y < 0.75$$

- +PID Cuts
- + Missing Mass > 1.5 GeV/c
- + Fiducial cuts
- + $x_F > 0$

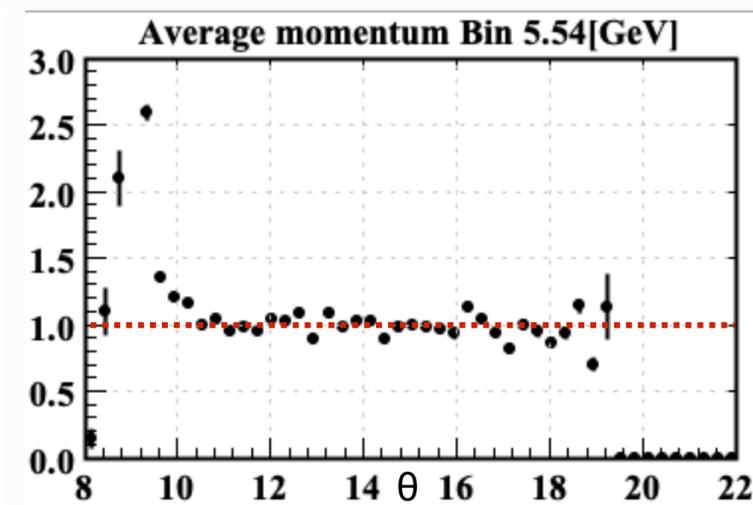
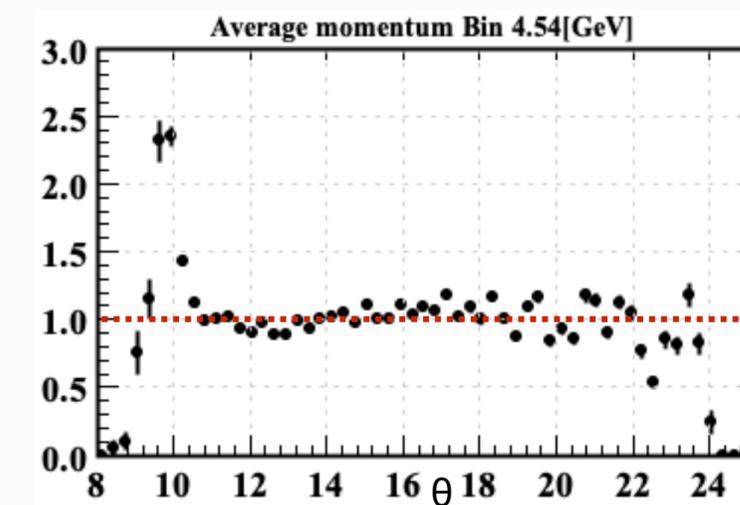
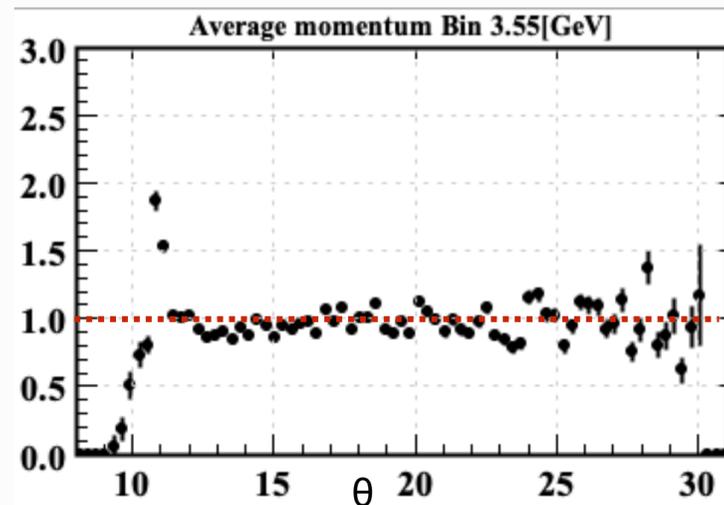
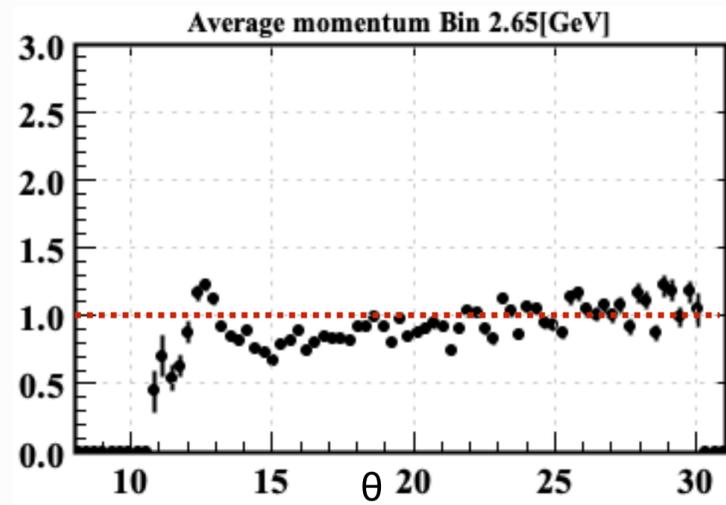
9 x 14 x 14 = 1764 bins



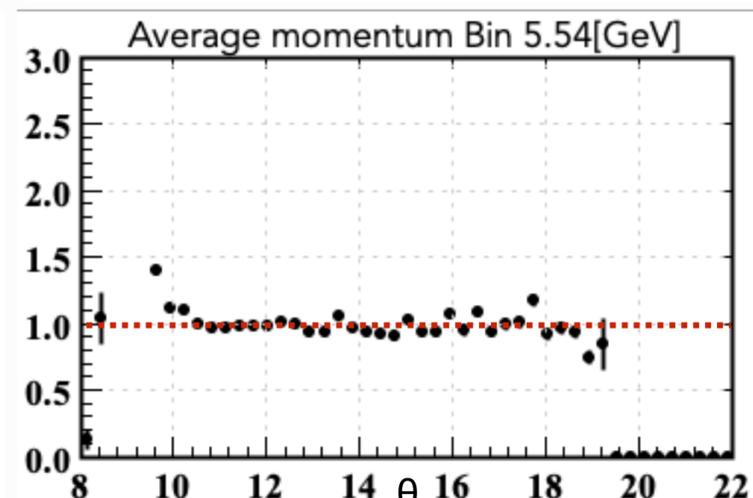
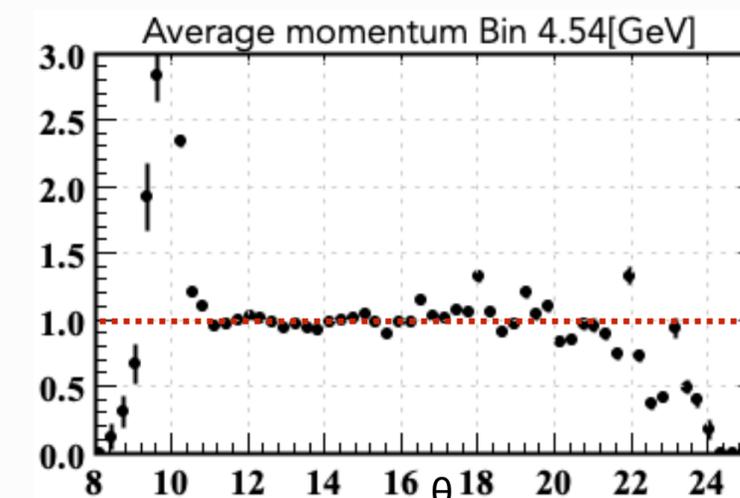
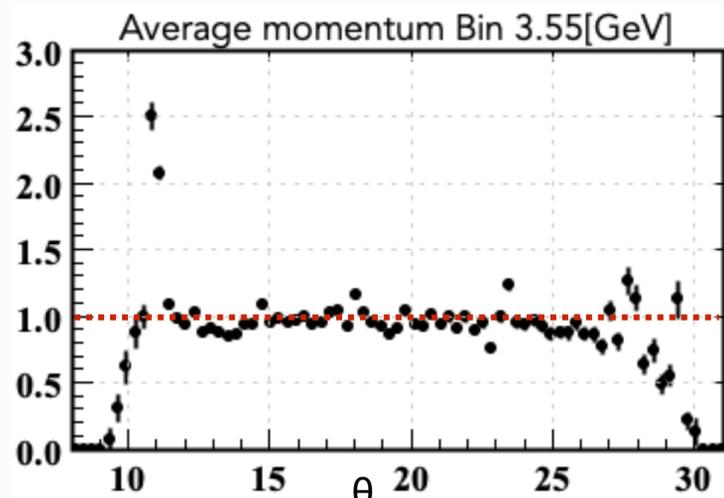
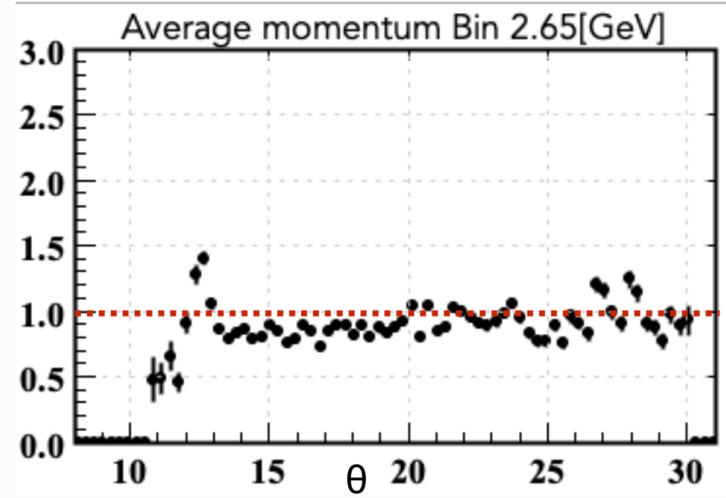


Ratio: MC/DATA Normalized to the same reconstructed electrons

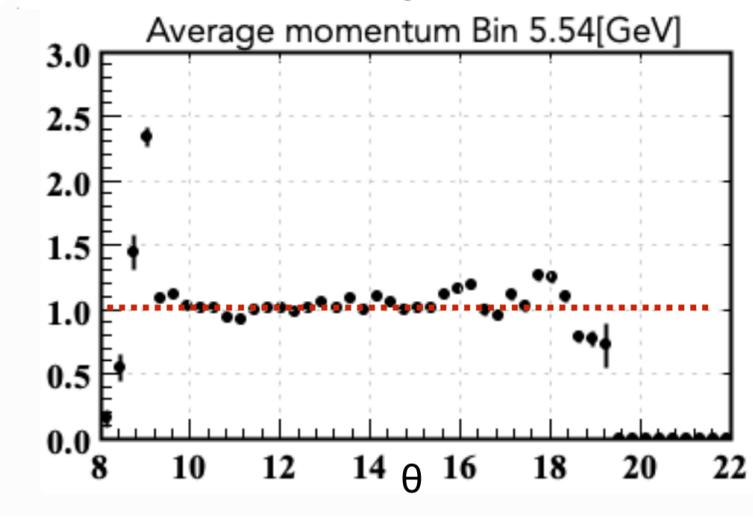
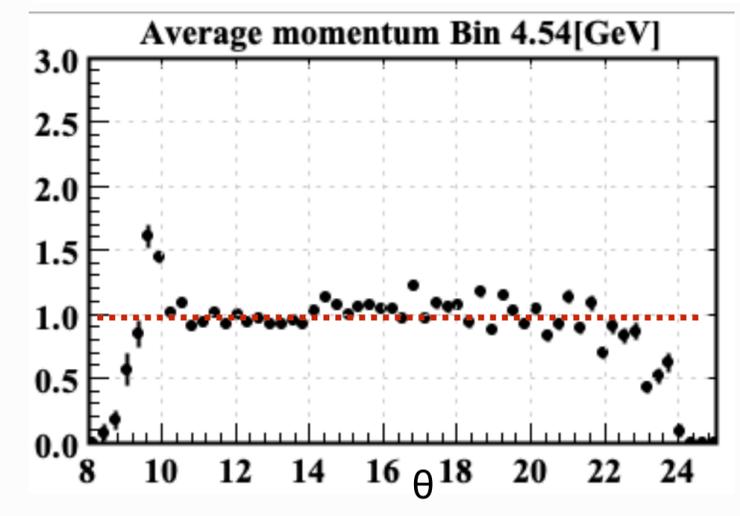
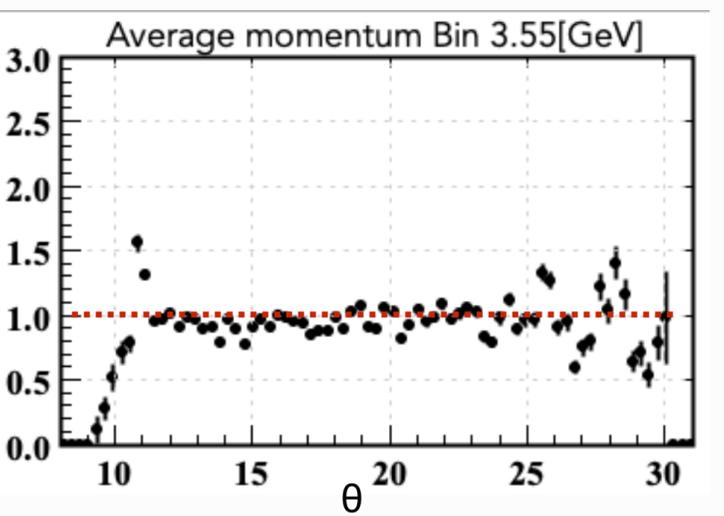
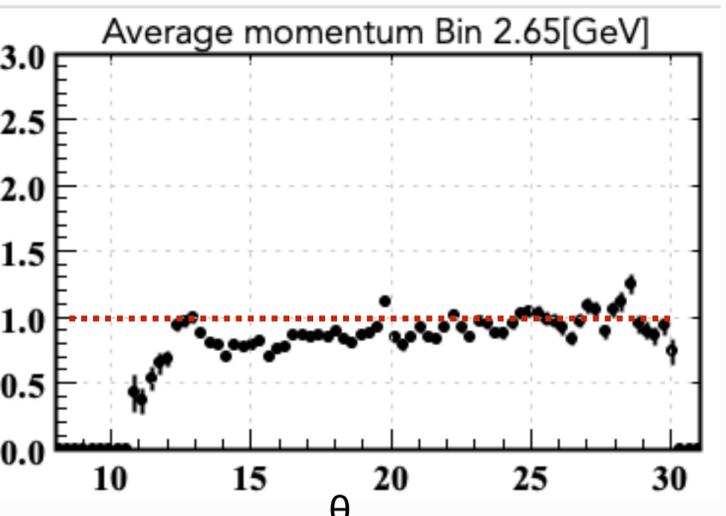
S1



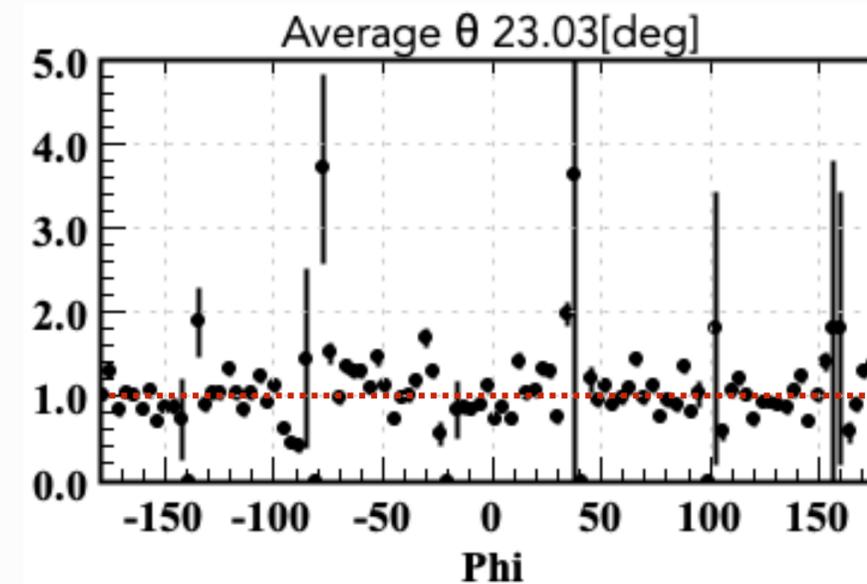
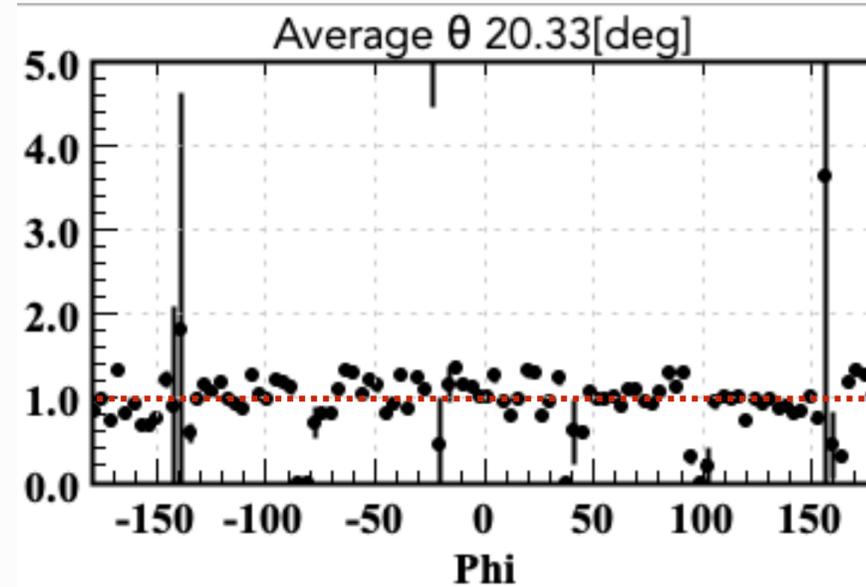
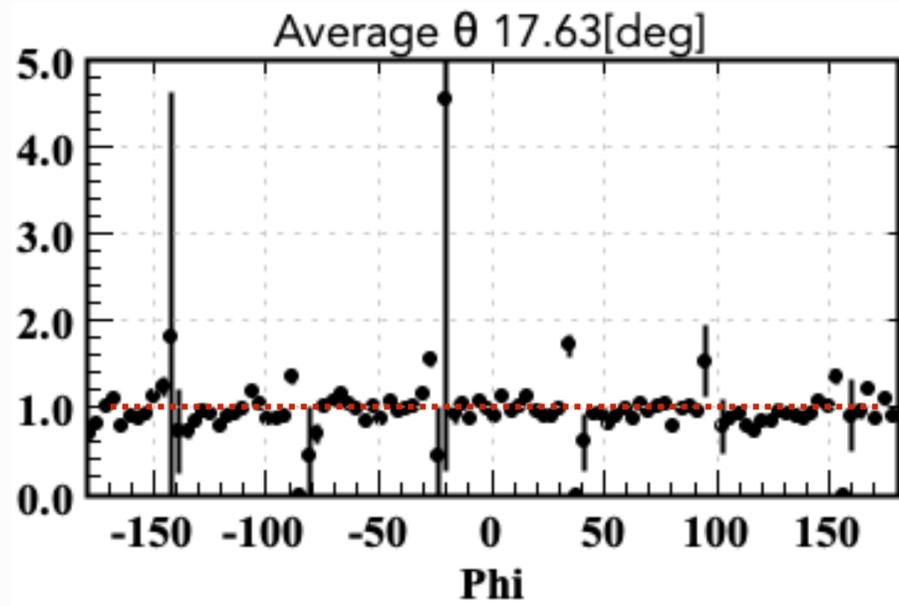
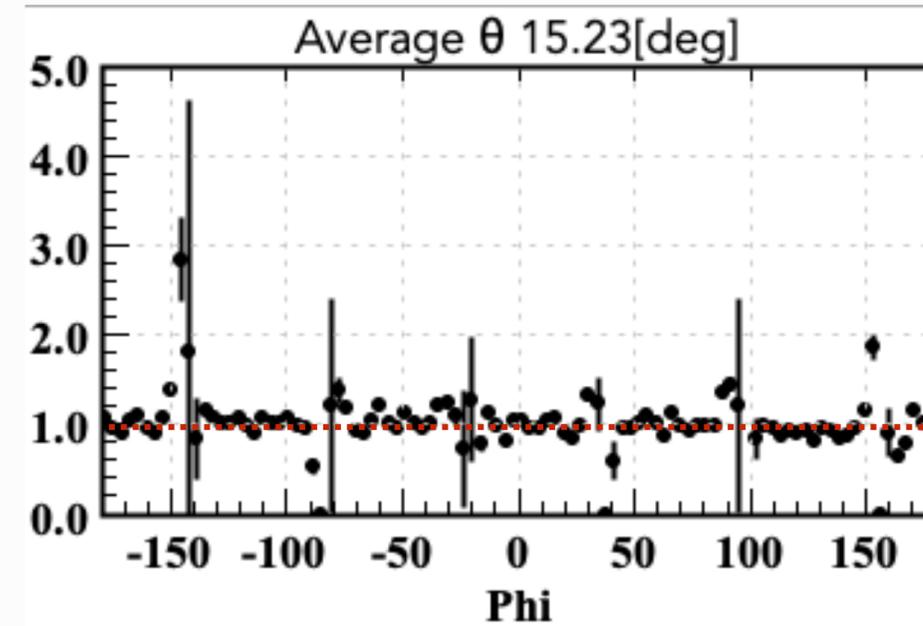
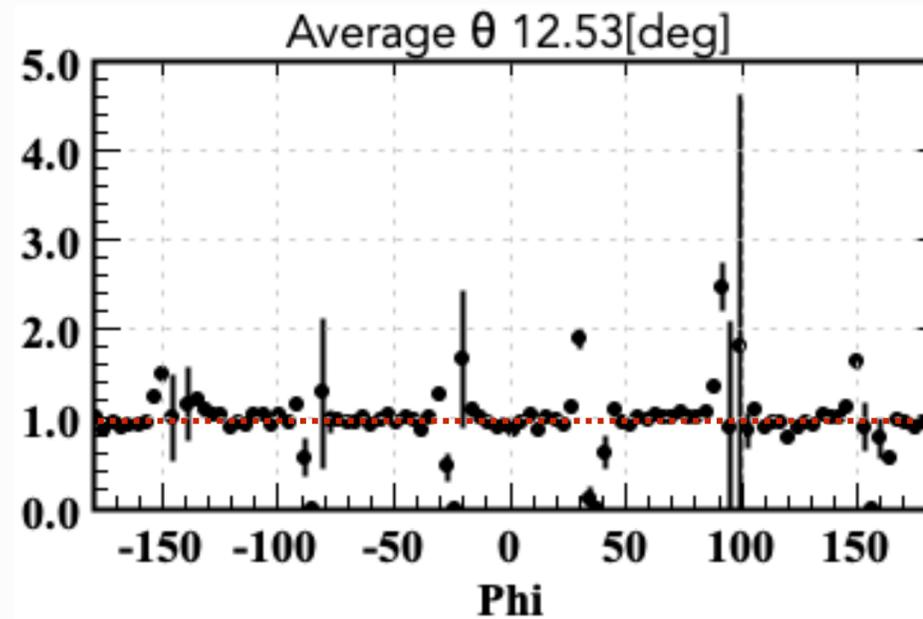
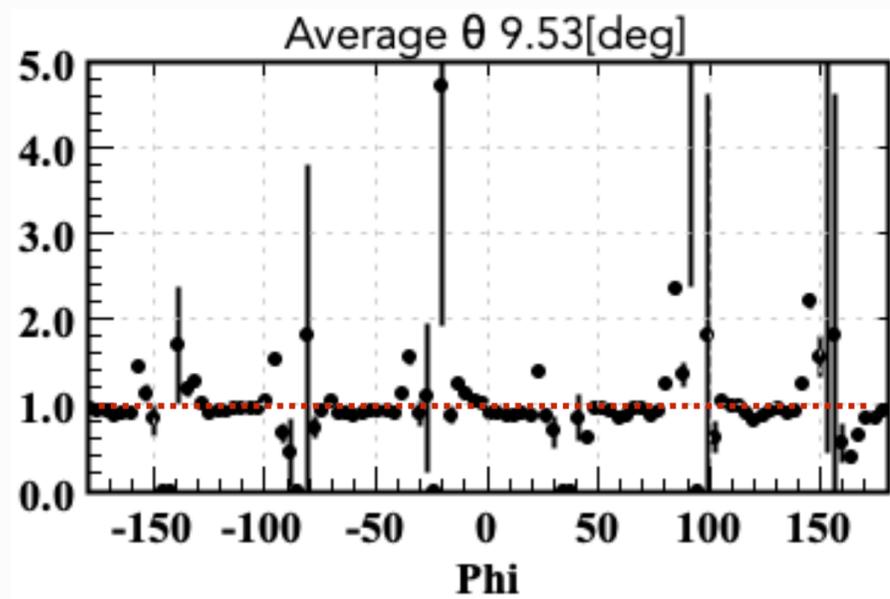
S3



S5



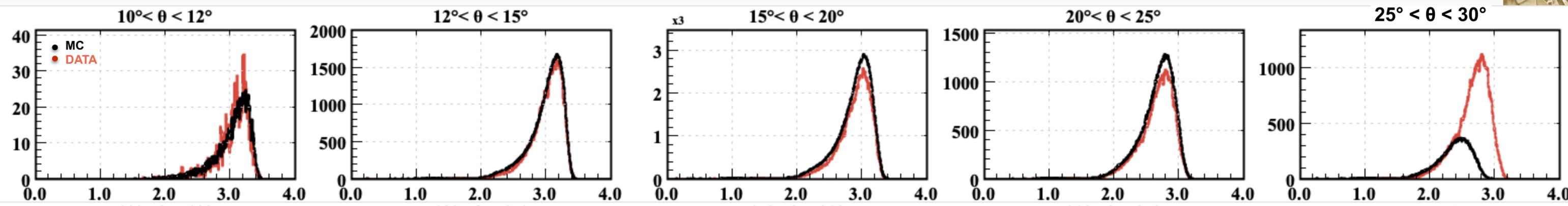
Ratio: MC/DATA Normalized to the same reconstructed electrons



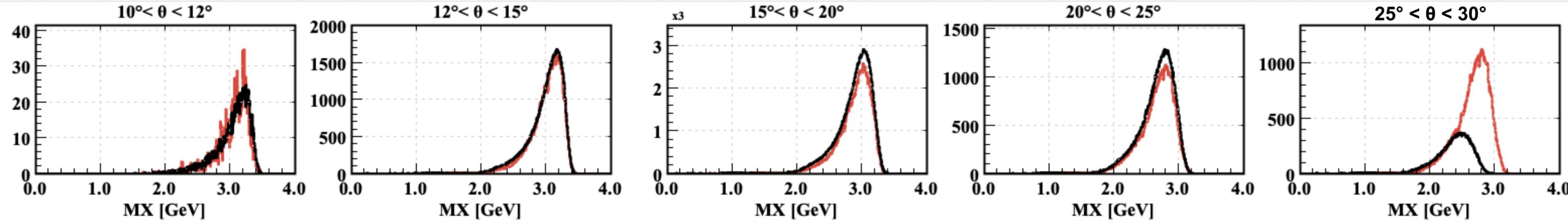


S1

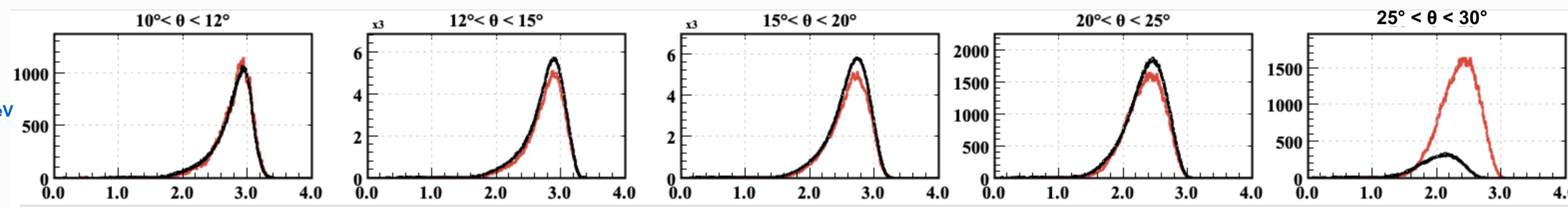
2GeV < p < 3GeV



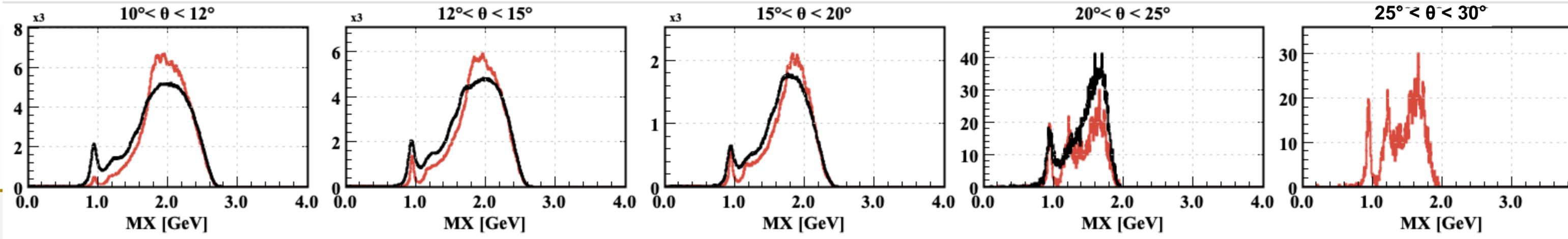
3GeV < p < 4GeV



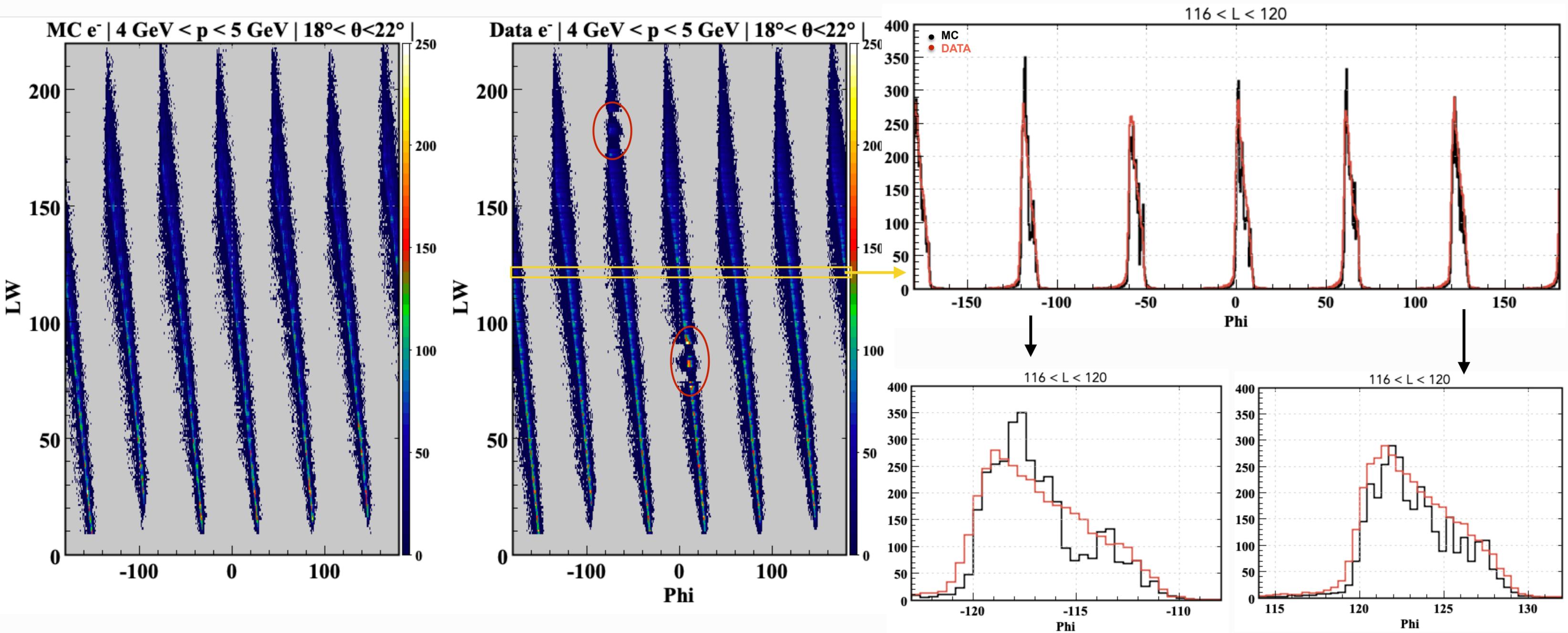
4GeV < p < 5GeV



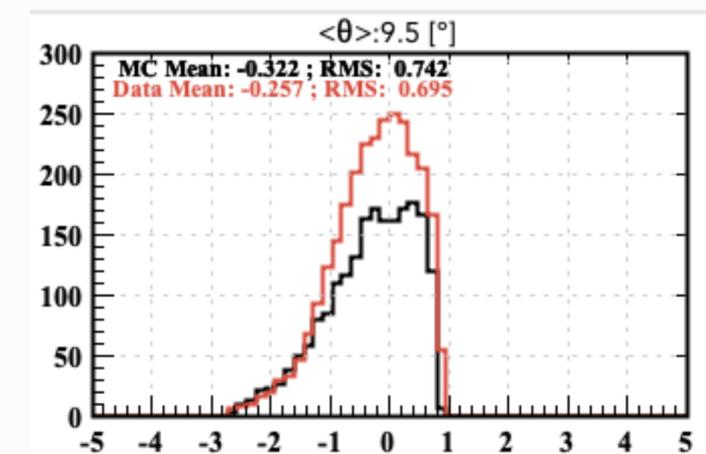
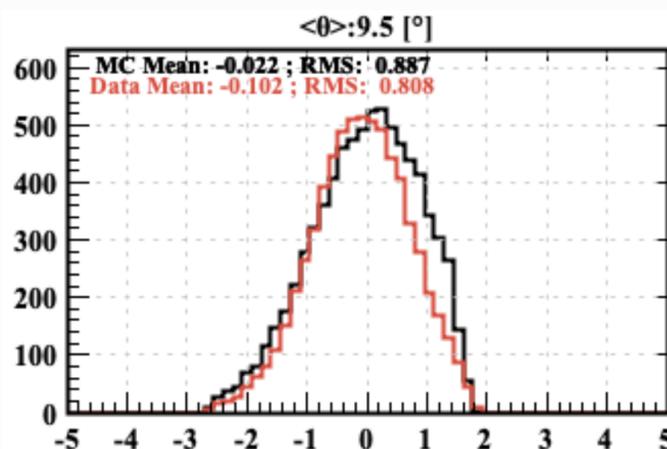
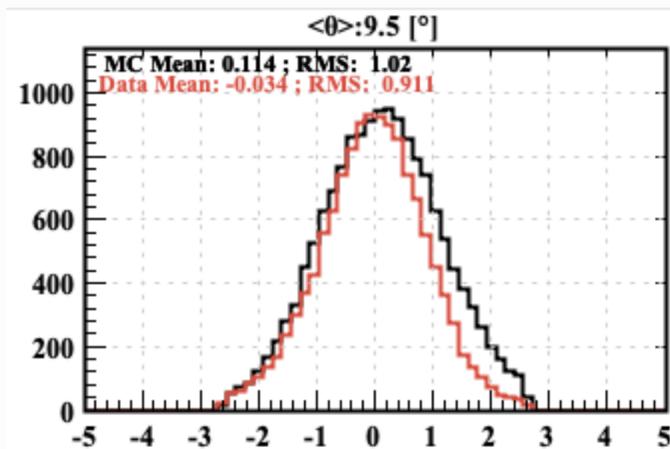
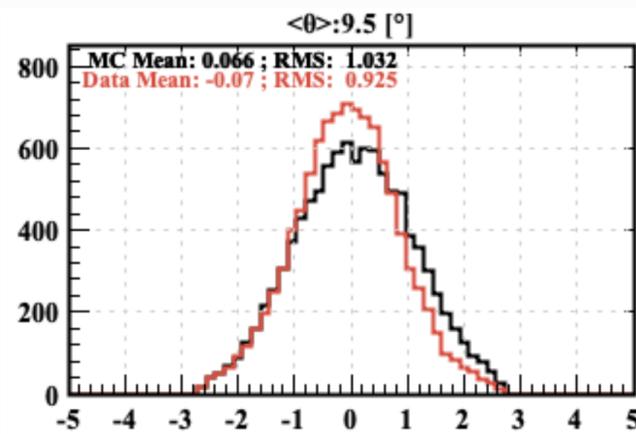
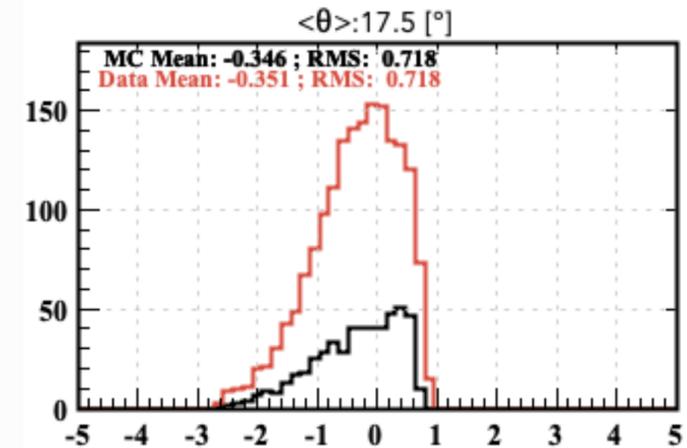
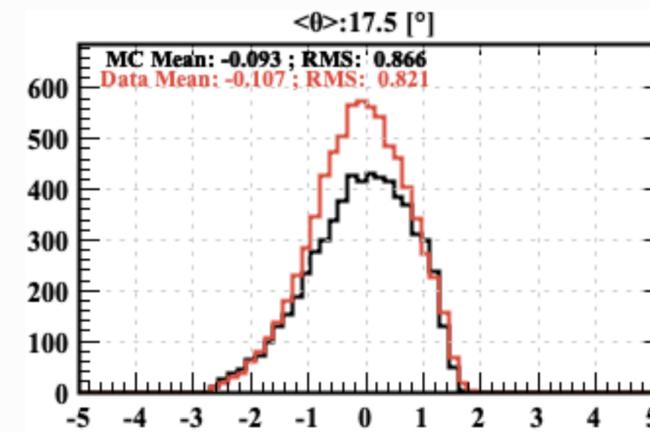
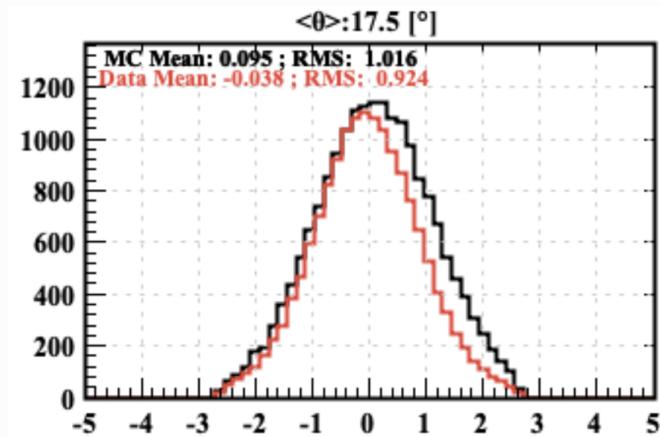
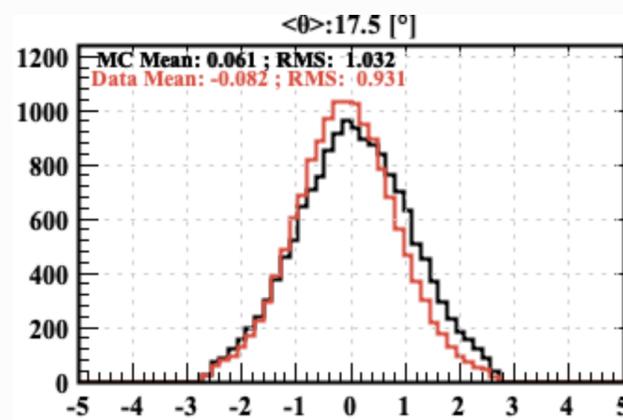
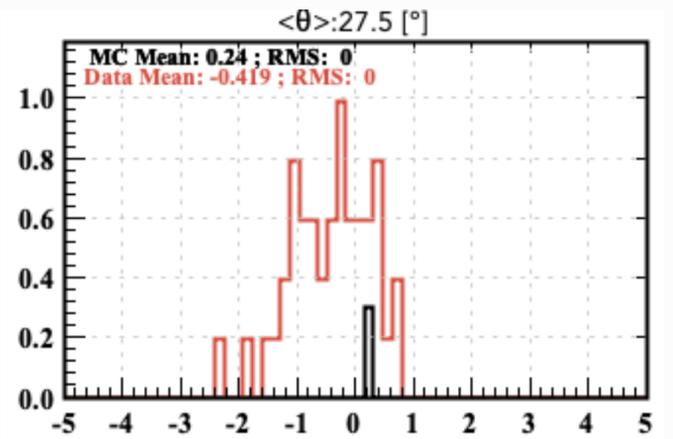
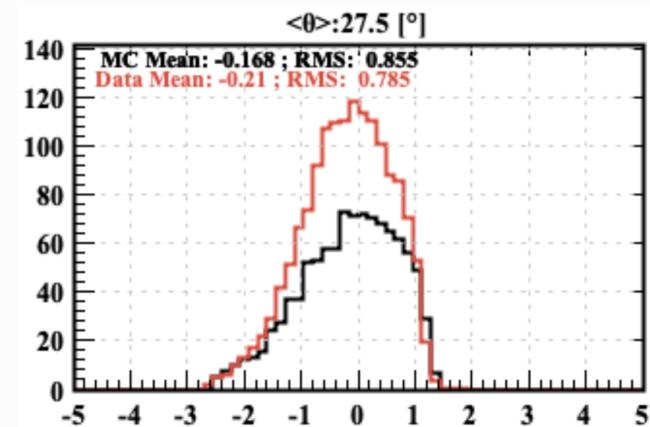
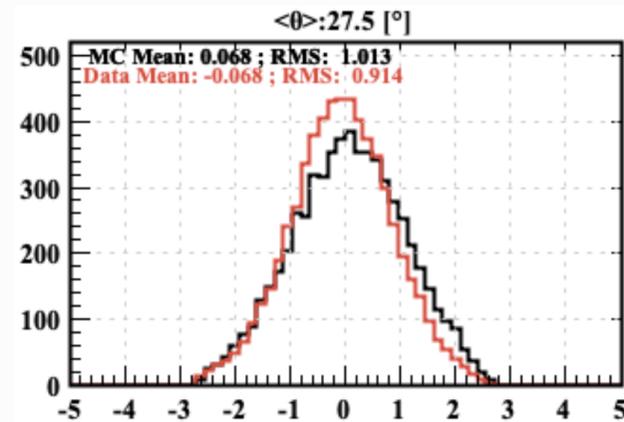
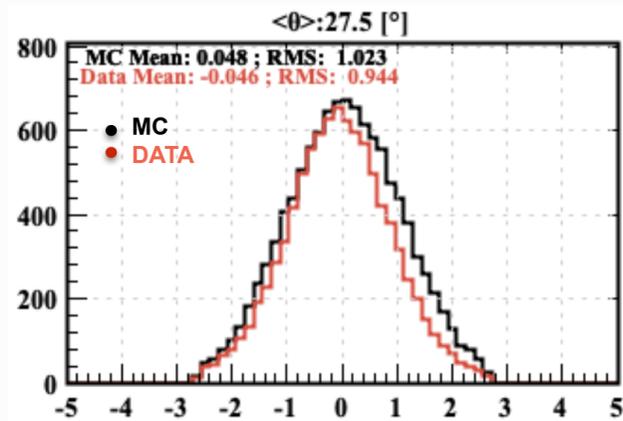
5GeV < p < 7GeV



The plots are normalized for the same number of DIS electron reconstructed (in a trustable interval of momentum and angle)



S1



1.25GeV < p < 1.5GeV

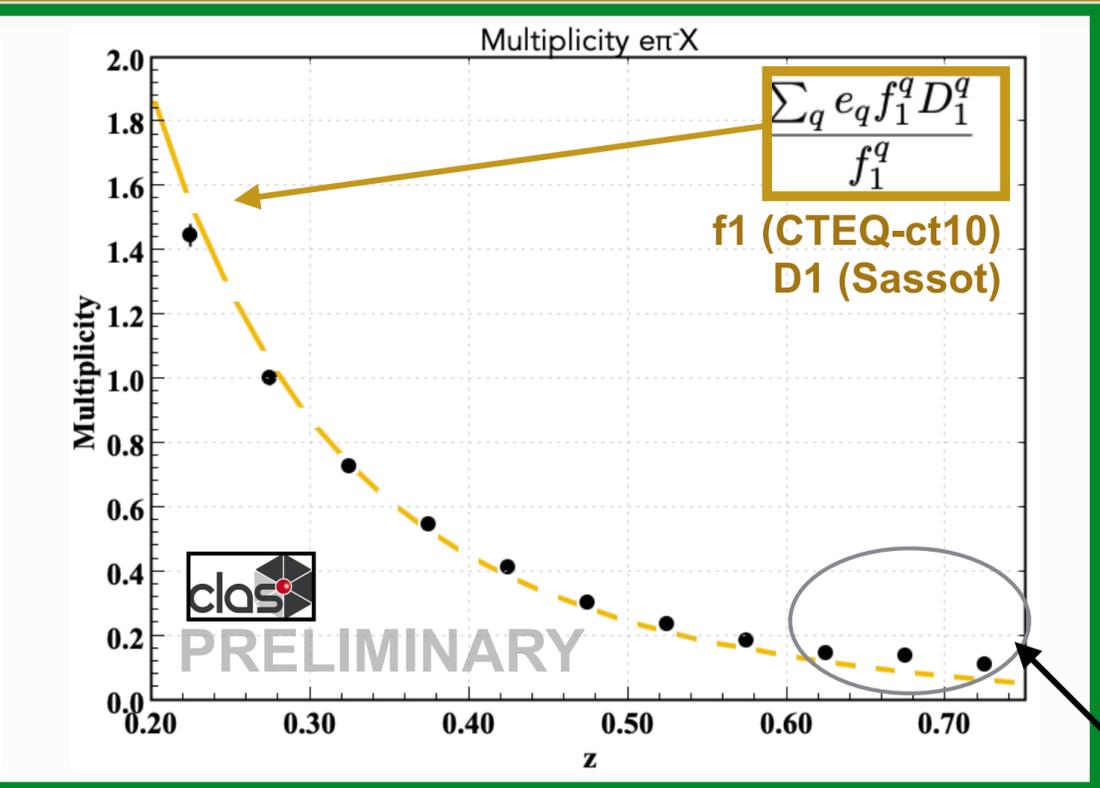
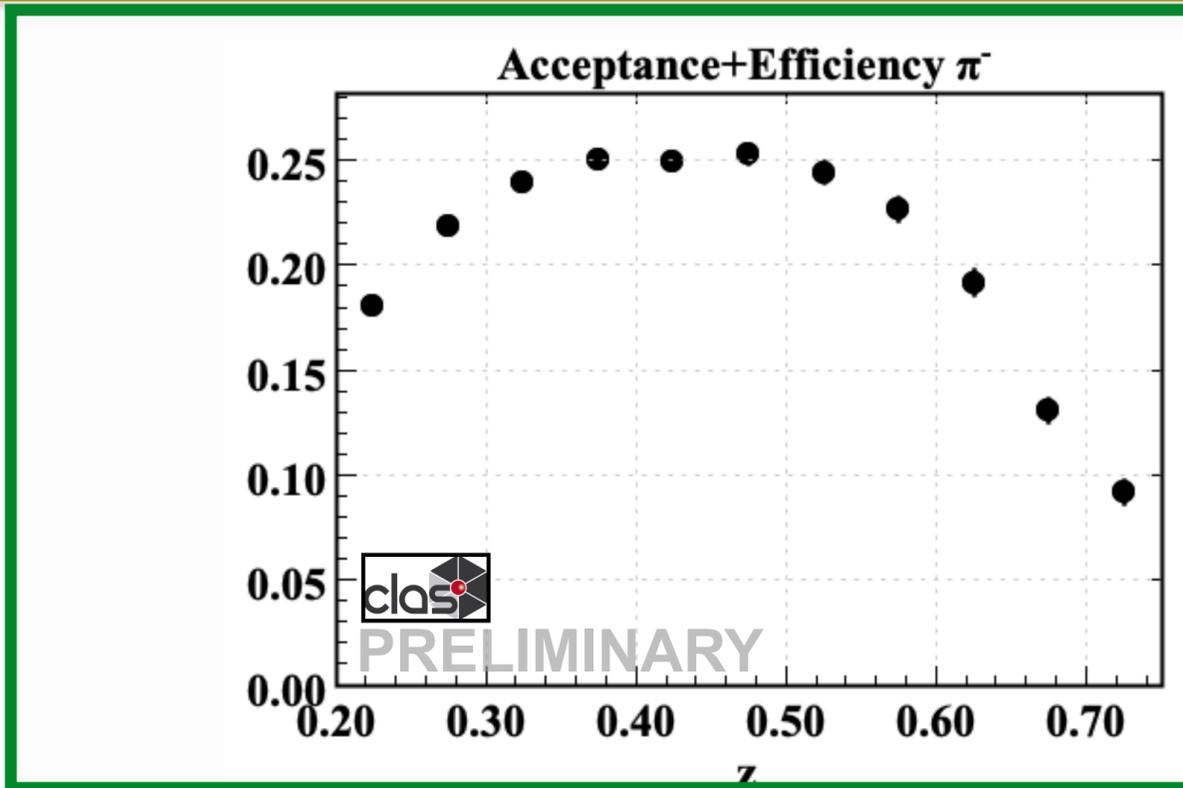
2.0GeV < p < 2.5GeV

3.0GeV < p < 3.5GeV

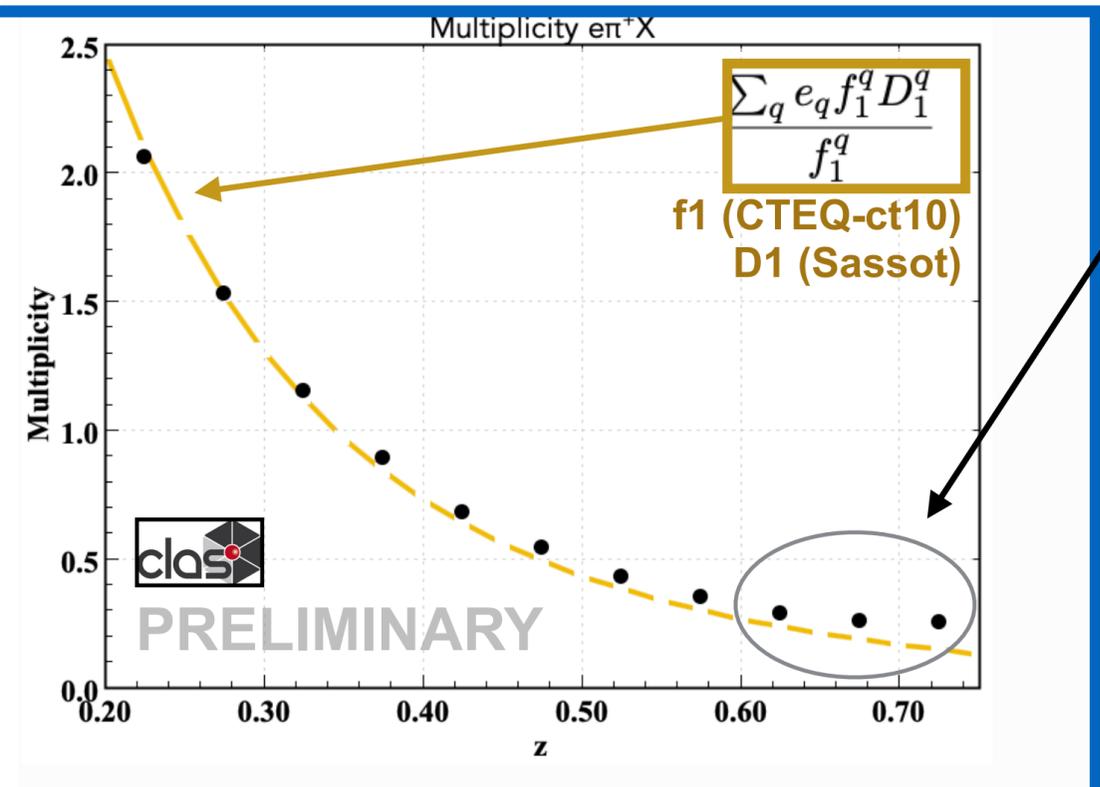
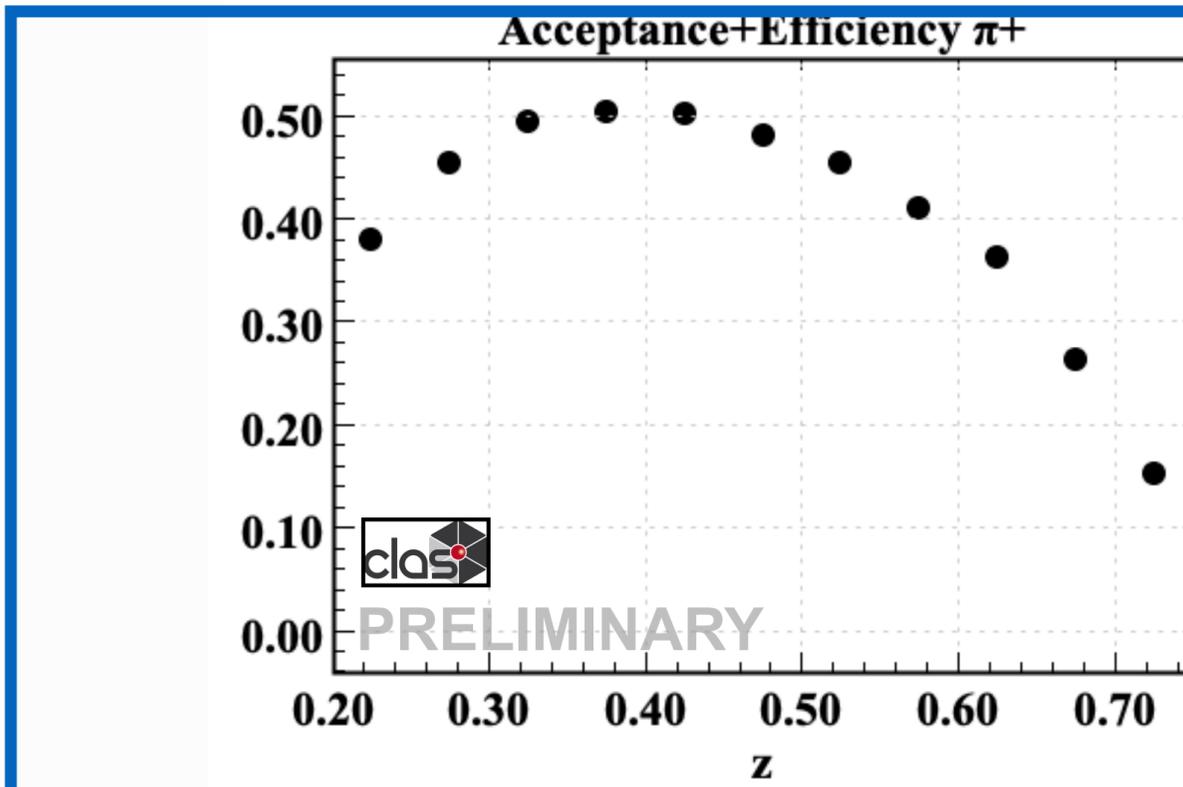
4.5GeV < p < 5.0GeV

From previous study with 1/10 of statistics

$e p \rightarrow e \pi^- X$



$e p \rightarrow e \pi^+ X$

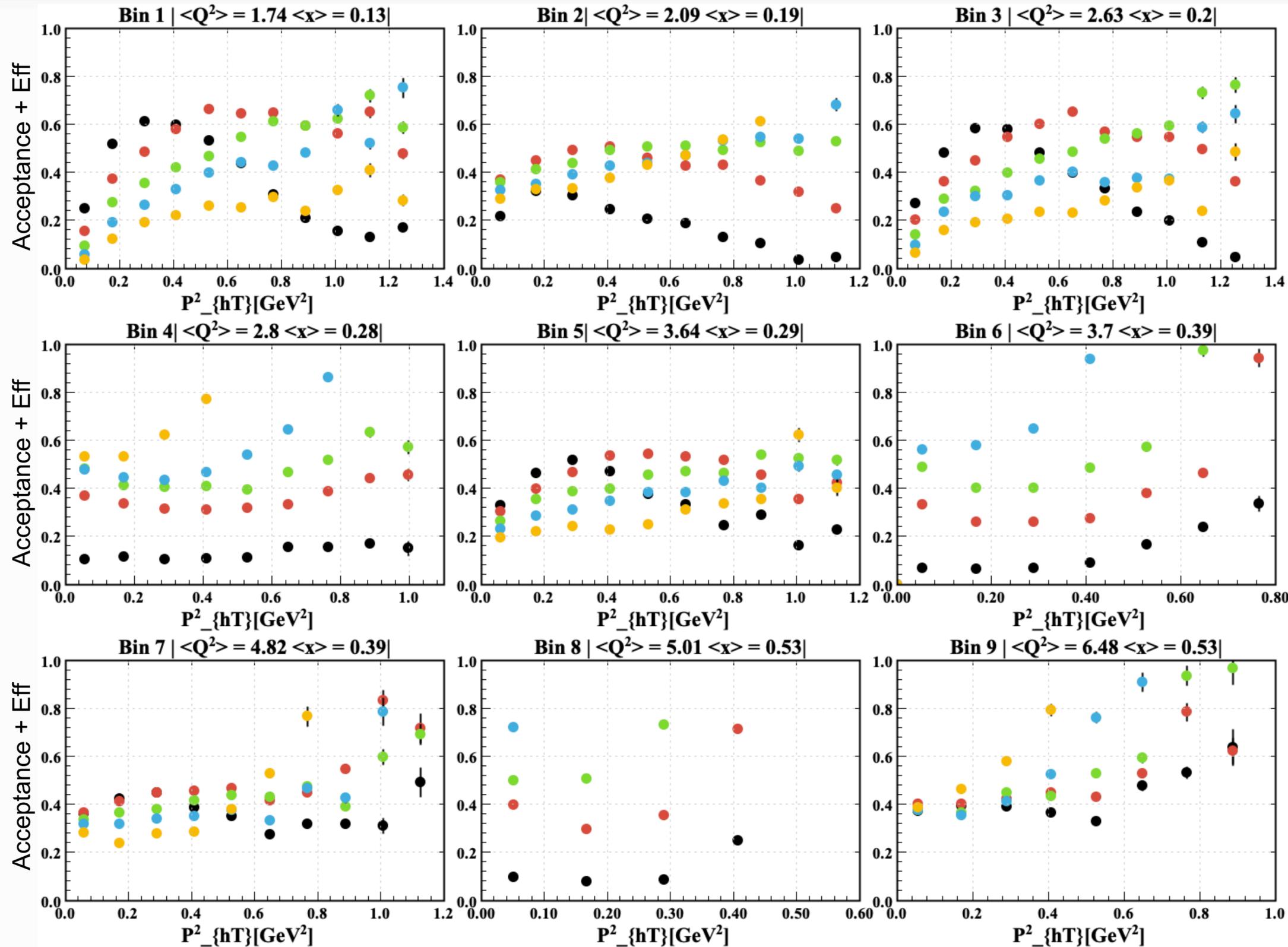
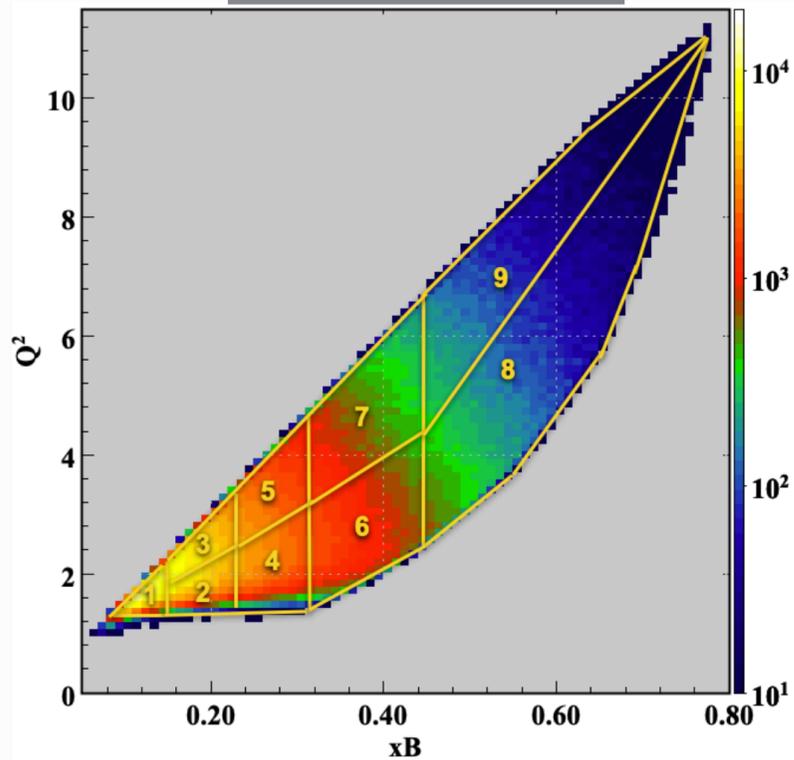


Under study, Possible higher twist effects

$ep \rightarrow e\pi + X$

Color legend

- $0.2 < z < 0.3$
- $0.3 < z < 0.4$
- $0.4 < z < 0.5$
- $0.5 < z < 0.6$
- $0.6 < z < 0.7$

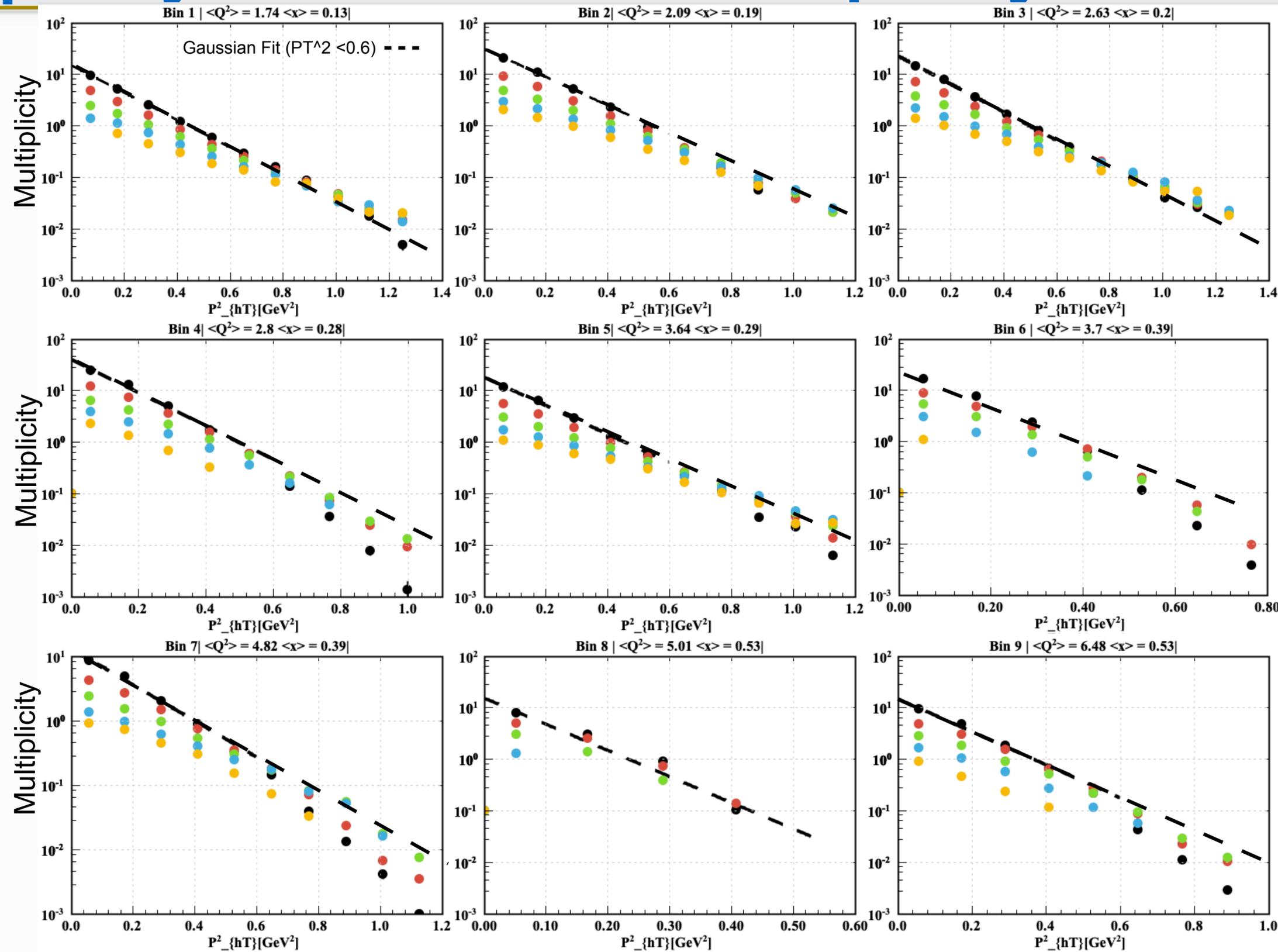
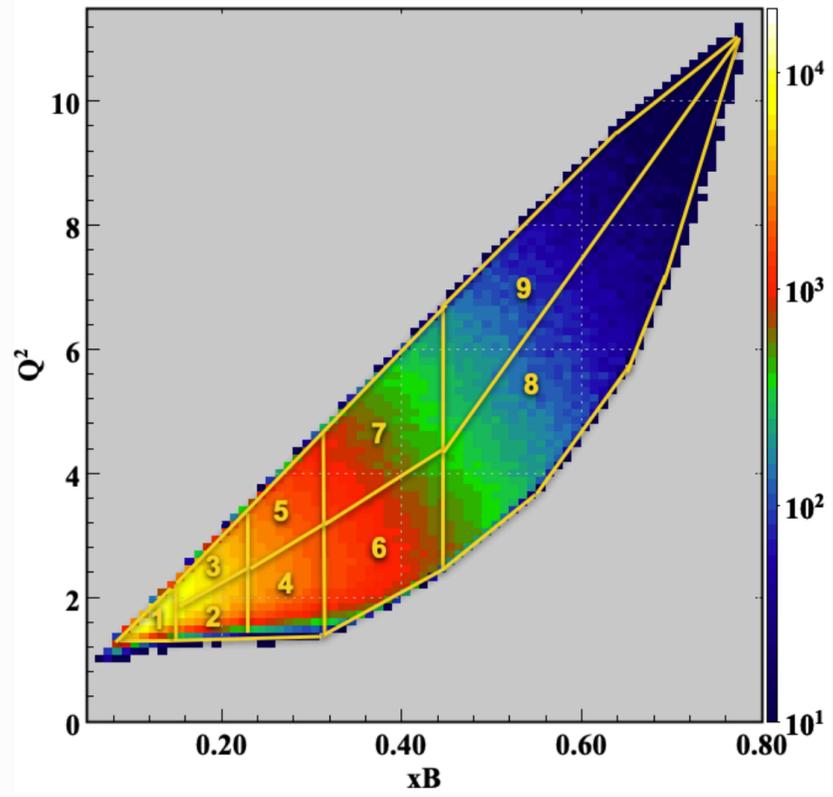


If we reconstructed < 10 events
 && If we generated < 100 events
 || reconstructed $>$ generated
 The data point is removed

$ep \rightarrow e\pi + X$

Color legend

- $0.2 < z < 0.3$
- $0.3 < z < 0.4$
- $0.4 < z < 0.5$
- $0.5 < z < 0.6$
- $0.6 < z < 0.7$

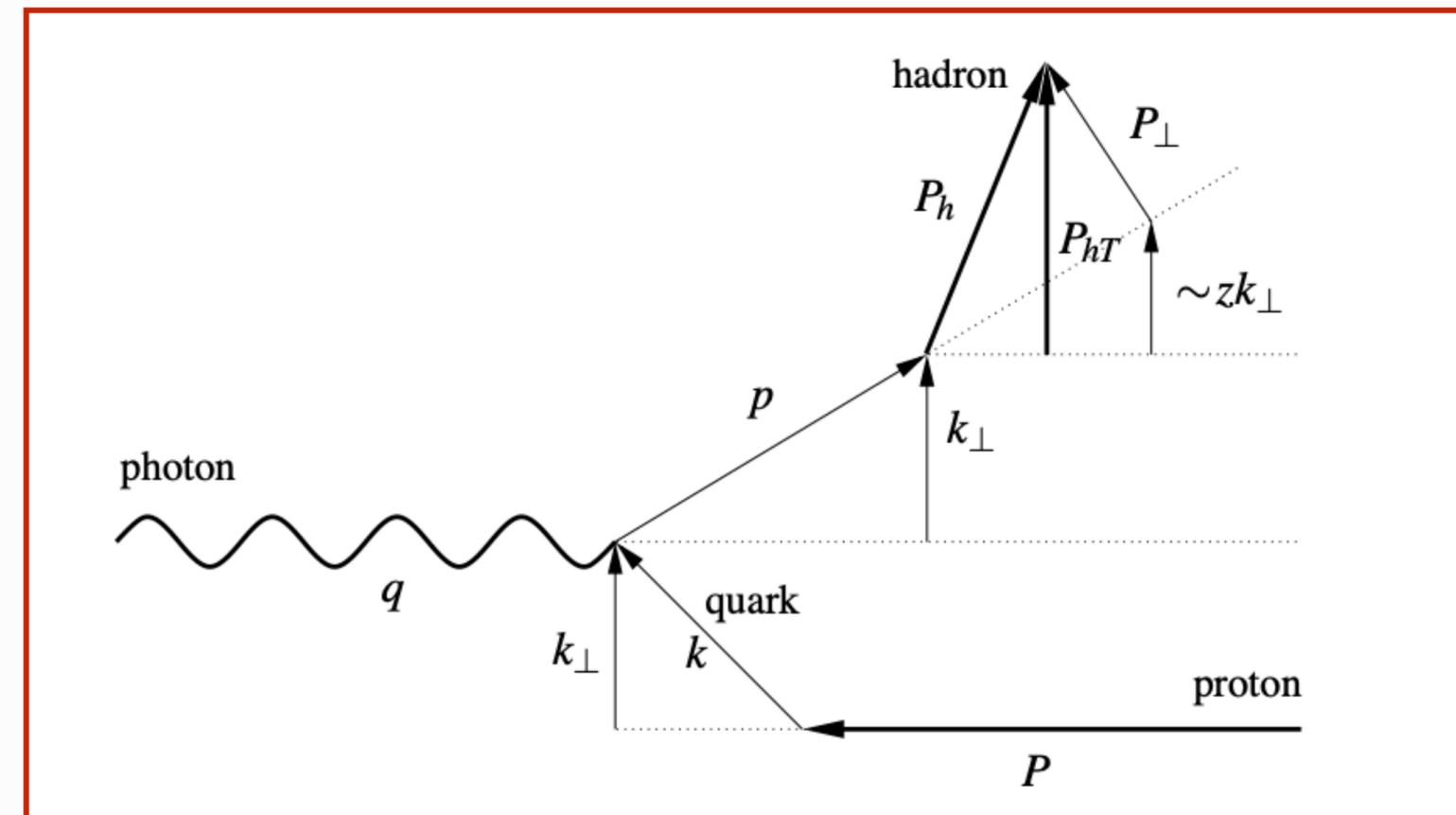


$$f_1^q \otimes D_1^q = \int d^2k_\perp d^2p_\perp \delta^2 \left(k_\perp - p_\perp - \frac{1}{z} P_{h\perp} \right) f_1^q(x, k_\perp) D_1^q(z, p_\perp)$$

We would like to extract average transverse momentum from our data

$$m_N^h(x, z, P_{hT}^2) = \frac{\pi}{\sum_a e_a^2 f_1^a(x)} \times \sum_a e_a^2 f_1^a(x) D_1^{a \rightarrow h}(z) \frac{e^{-P_{hT}^2 / (z^2 \langle k_{\perp,a}^2 \rangle + \langle P_{\perp,a \rightarrow h}^2 \rangle)}}{\pi (z^2 \langle k_{\perp,a}^2 \rangle + \langle P_{\perp,a \rightarrow h}^2 \rangle)}$$

$$\langle P_{hT,a}^2 \rangle = z^2 \langle k_{\perp,a}^2 \rangle + \langle P_{\perp,a \rightarrow h}^2 \rangle.$$



Momentum	Physical description
k	4-momentum of parton in distribution function
p	4-momentum of fragmenting parton
k_\perp	light-cone transverse momentum of parton in distribution function
P_\perp	light-cone transverse momentum of final hadron w.r.t. fragmenting parton
P_{hT}	light-cone transverse momentum of final hadron w.r.t. virtual photon

From: *Investigations into the flavor dependence of partonic transverse momentum*
Signori et Al., <https://arxiv.org/pdf/1309.3507.pdf>

In order to reconstruct the initial parton transverse momentum one should:

- Assume a functional dependency of Pion transverse momentum that link it to the parton transverse momentum
- Correct for effects due to detector and limit phase space:

- 1) Correction from detector using MC description of the detector (acceptance corrected data).
- 2) Correction from phase space.

This is an on going work.

Here I am going to show you the effects of phase space with pion produced from strings, omegas produced from strings, and pion decayed from those omegas by using a dedicated MC.

This is an analysis on LUND Generated files.

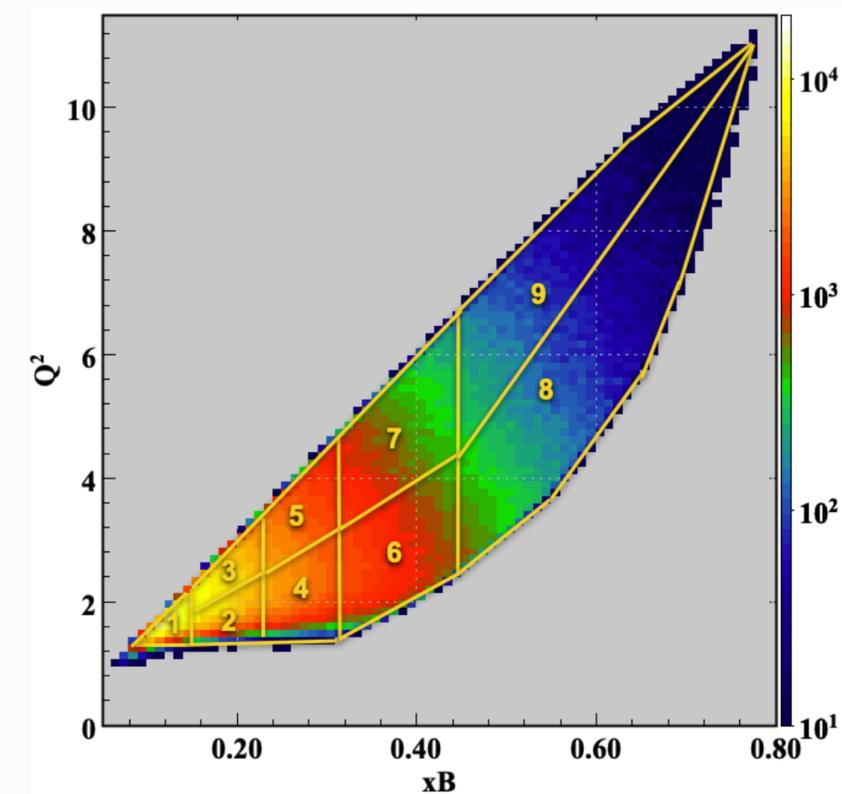
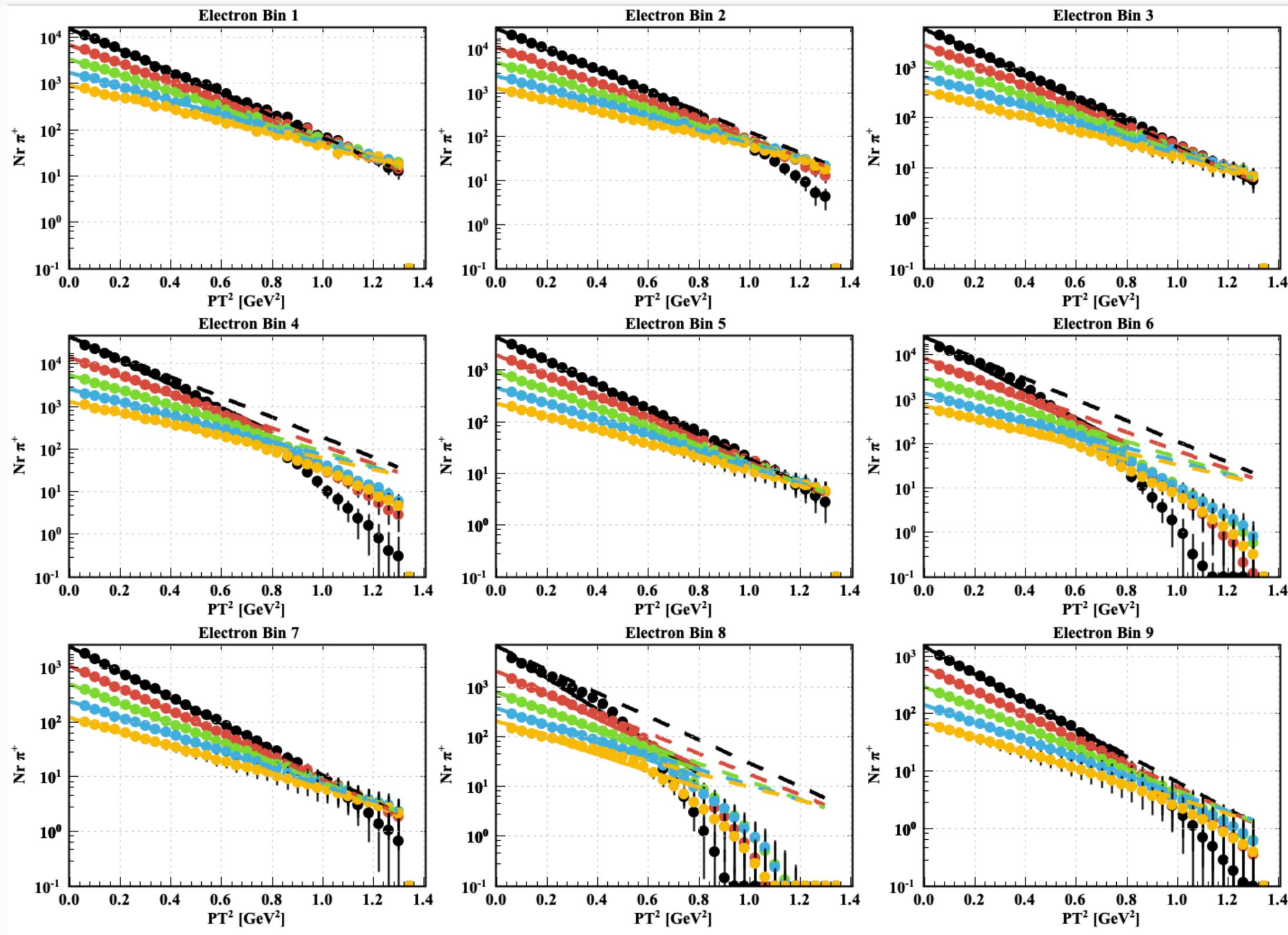
$\pi^+\pi^+$

Directly produced from strings

Color legend

- $0.2 < z < 0.3$
- $0.3 < z < 0.4$
- $0.4 < z < 0.5$
- $0.5 < z < 0.6$
- $0.6 < z < 0.7$

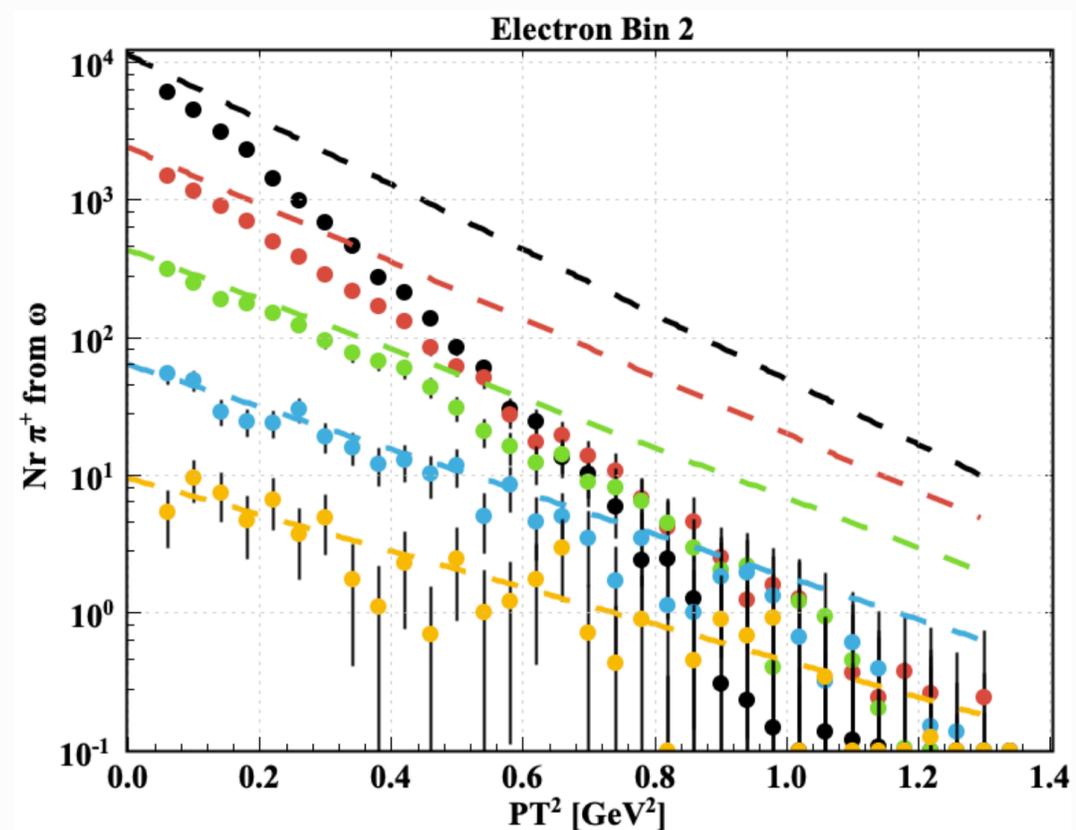
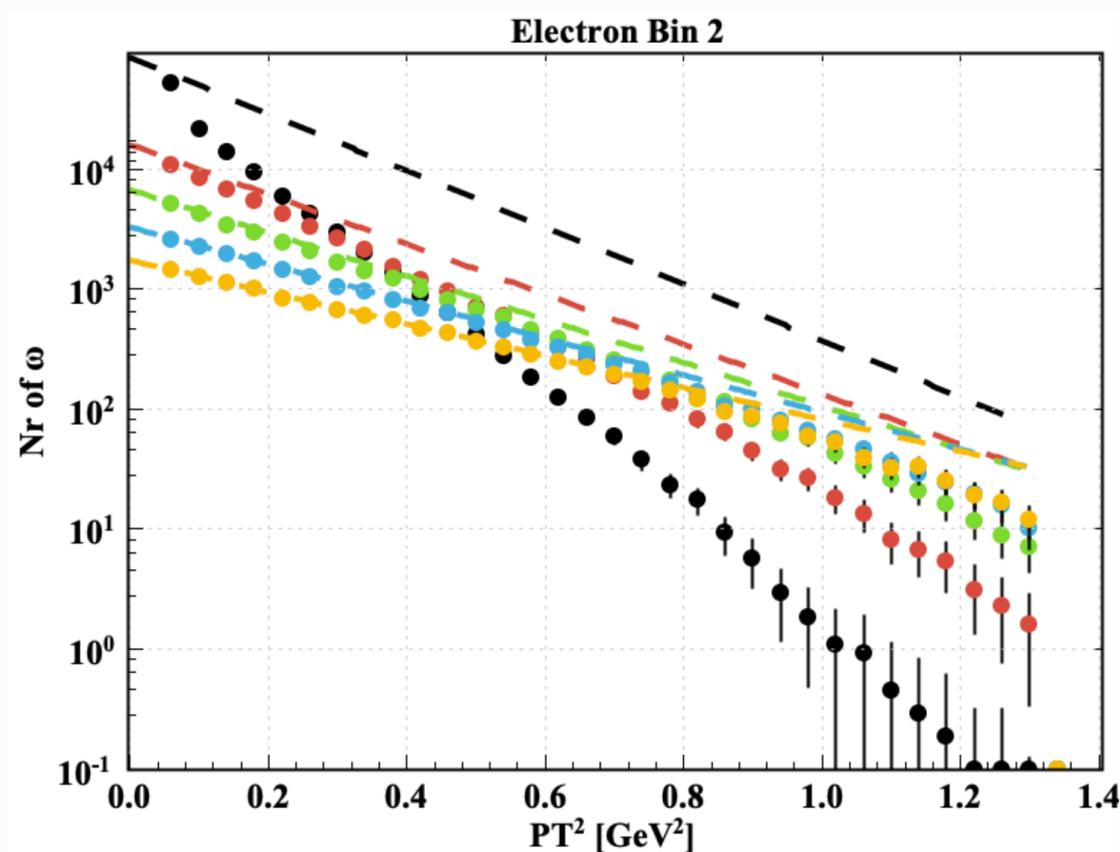
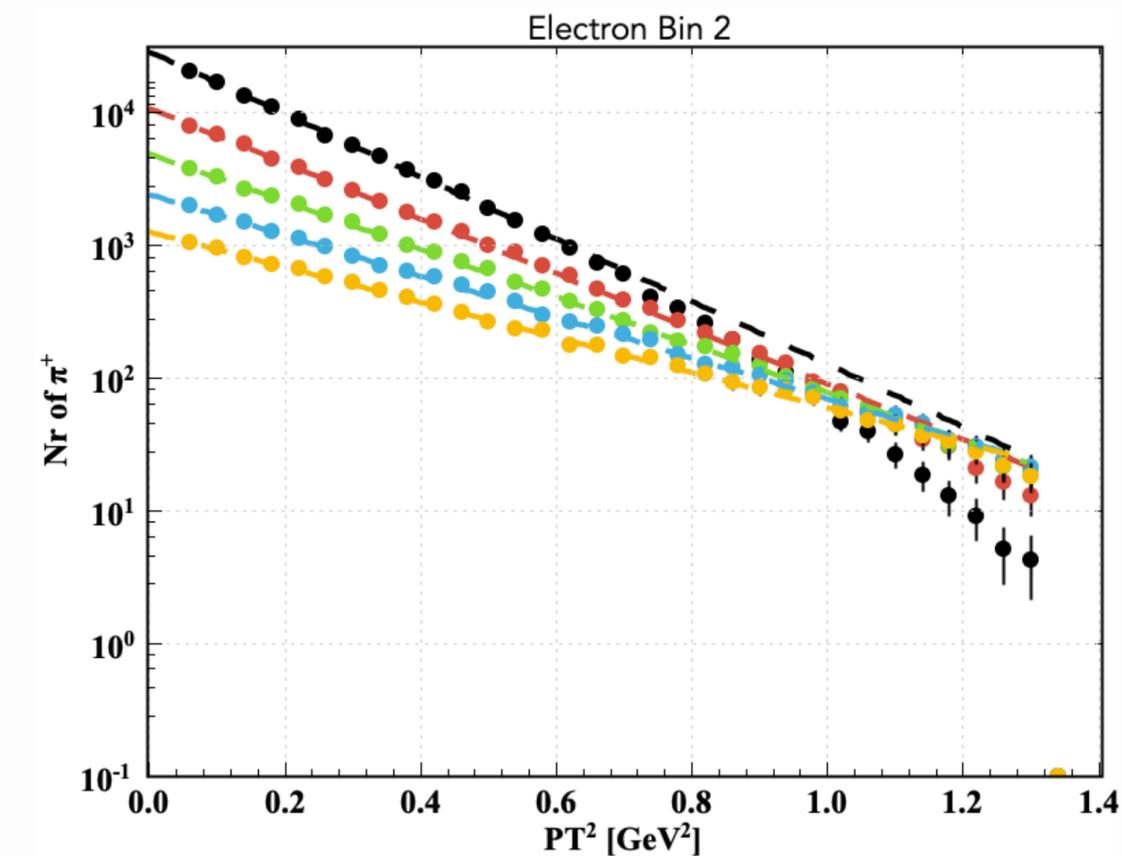
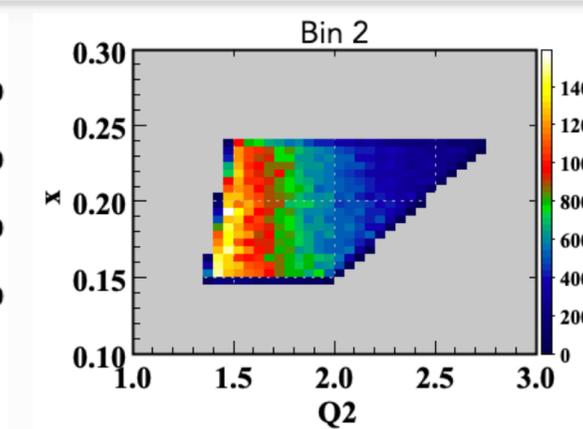
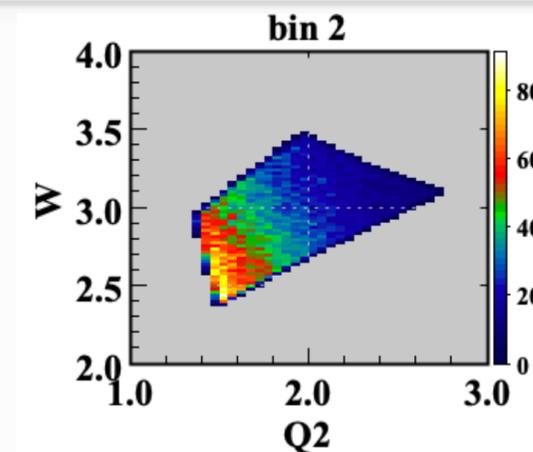
--- Input Function
— Fitted



Color legend

- $0.2 < z < 0.3$
- $0.3 < z < 0.4$
- $0.4 < z < 0.5$
- $0.5 < z < 0.6$
- $0.6 < z < 0.7$

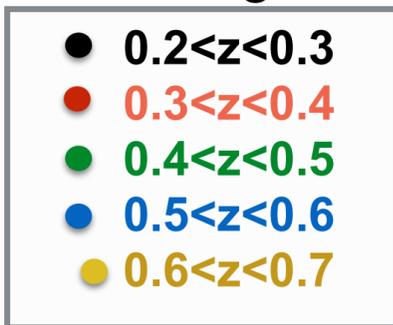
----- Input Function



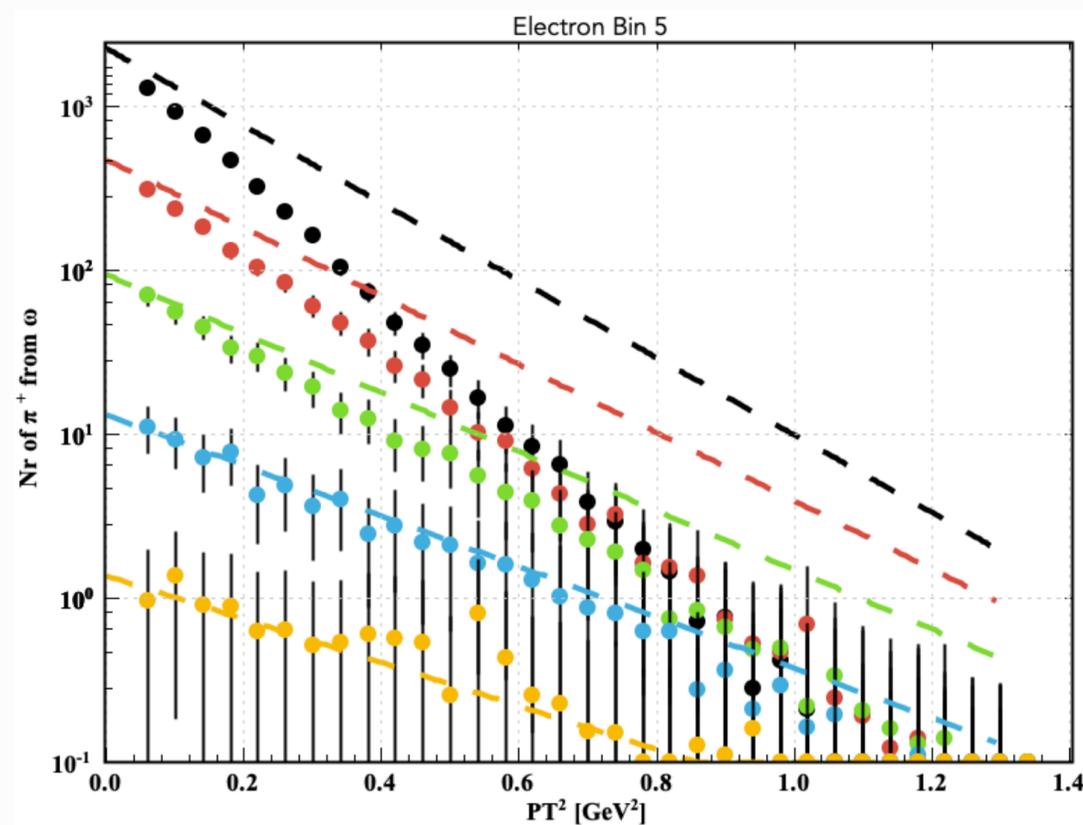
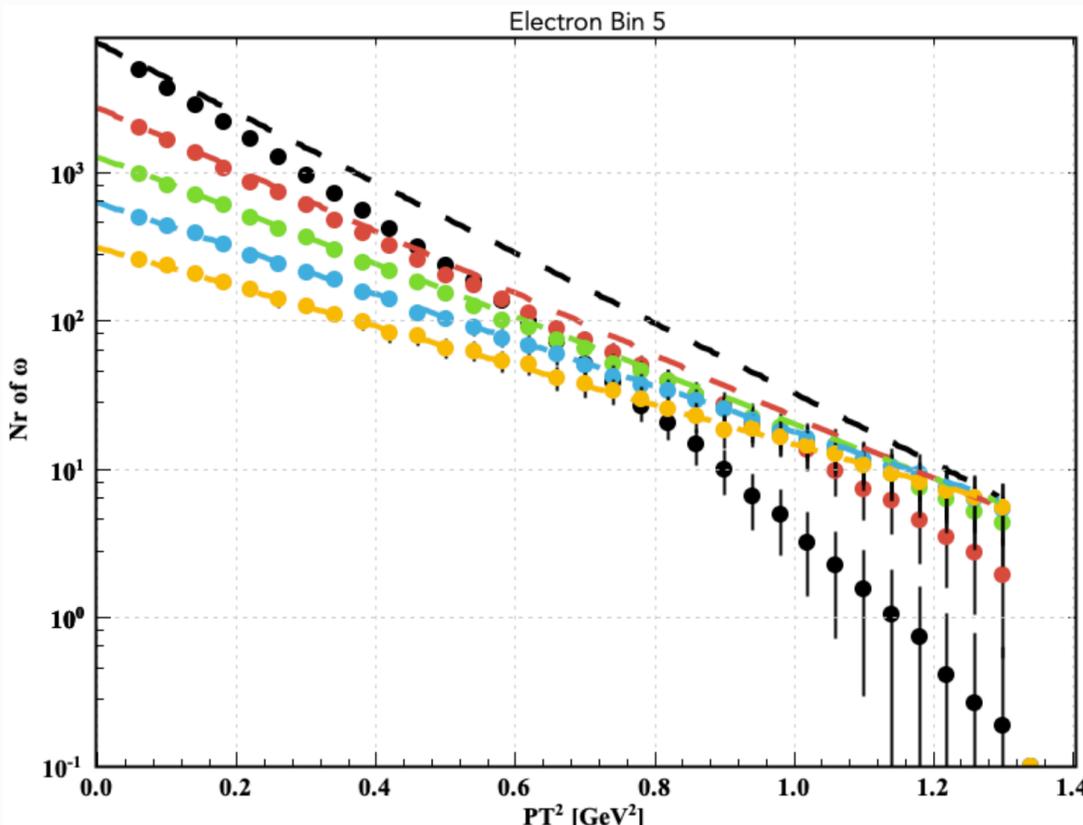
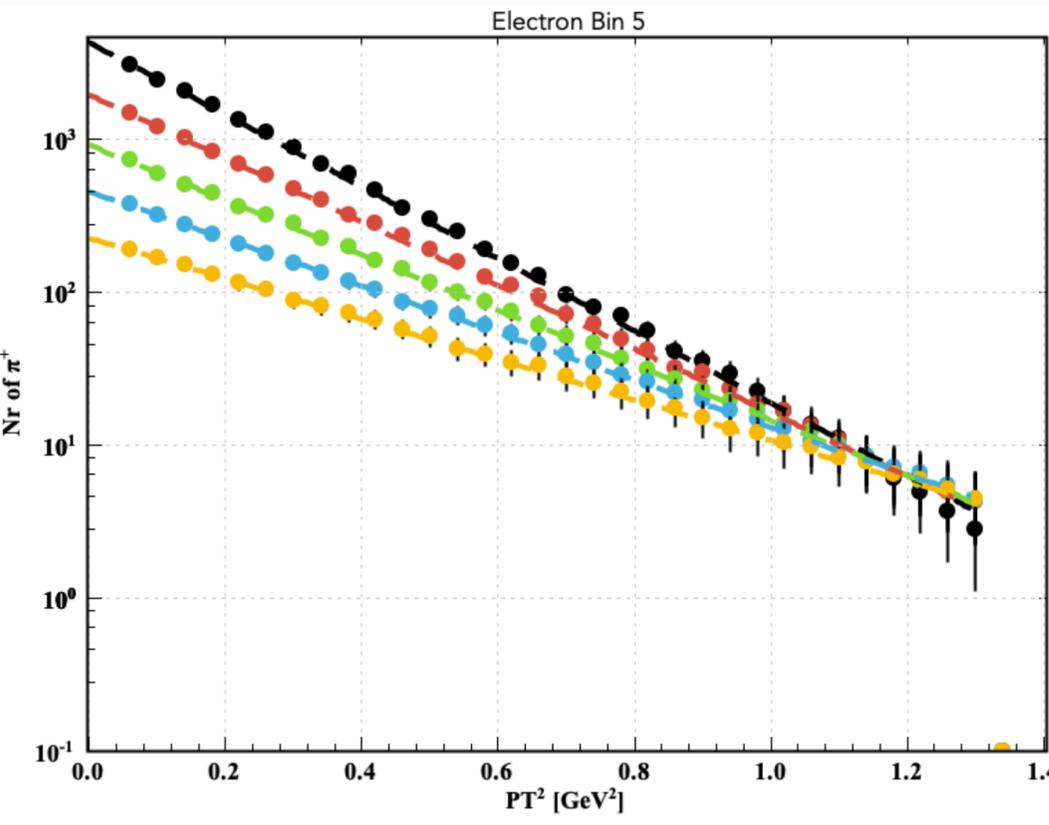
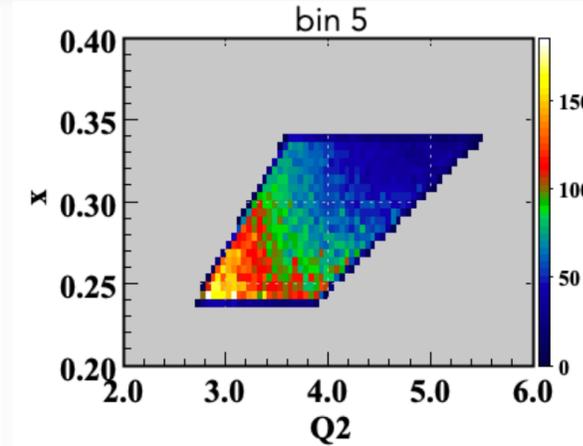
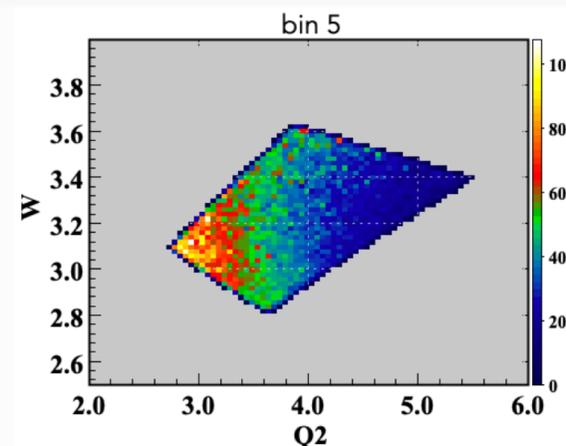
Don't look at the y axis, the normalization is different but focus on the differences between the dotted line (generated function) to the points : what is generated within the phase space .

The phase space effects depends by the particle type. So the corrections will be model dependent .

Color legend



----- Input Function



We need to correct the data for the phase space effect, but since the correction depends on the VM, it will be dependent to the VM ratio used in our models.

MC in-bending completed (about 2x data) and available at:
/work/clas12/rg-a/montecarlo/fall2018/torus-1/clasdis/bg/

The measurement of charged pion multiplicity is being extracted using CLAS12.

We are working on improve our fiducial cuts.

Effect of phase spaces and VM production under study.

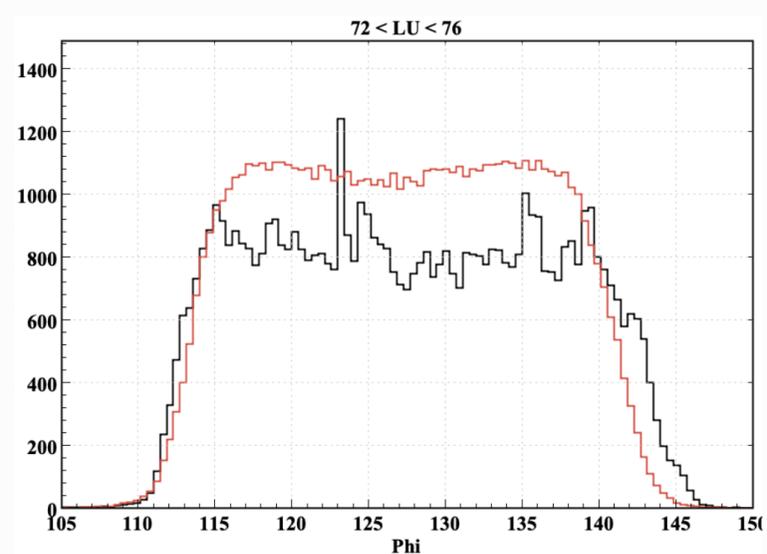
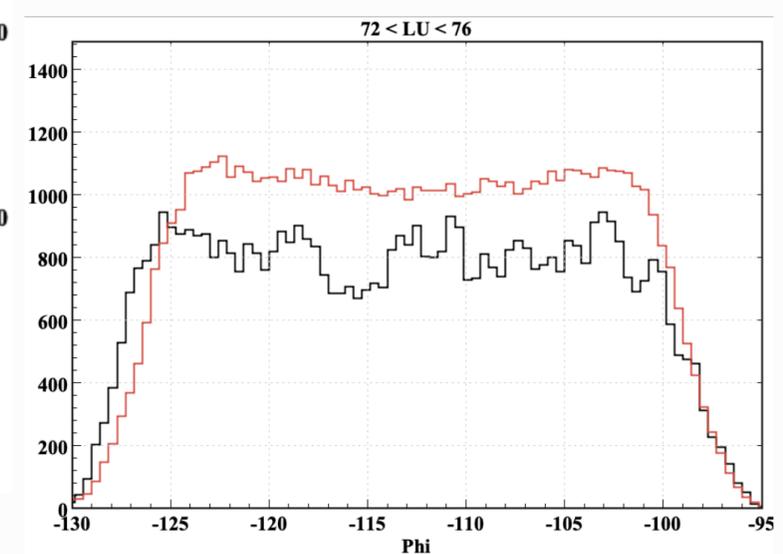
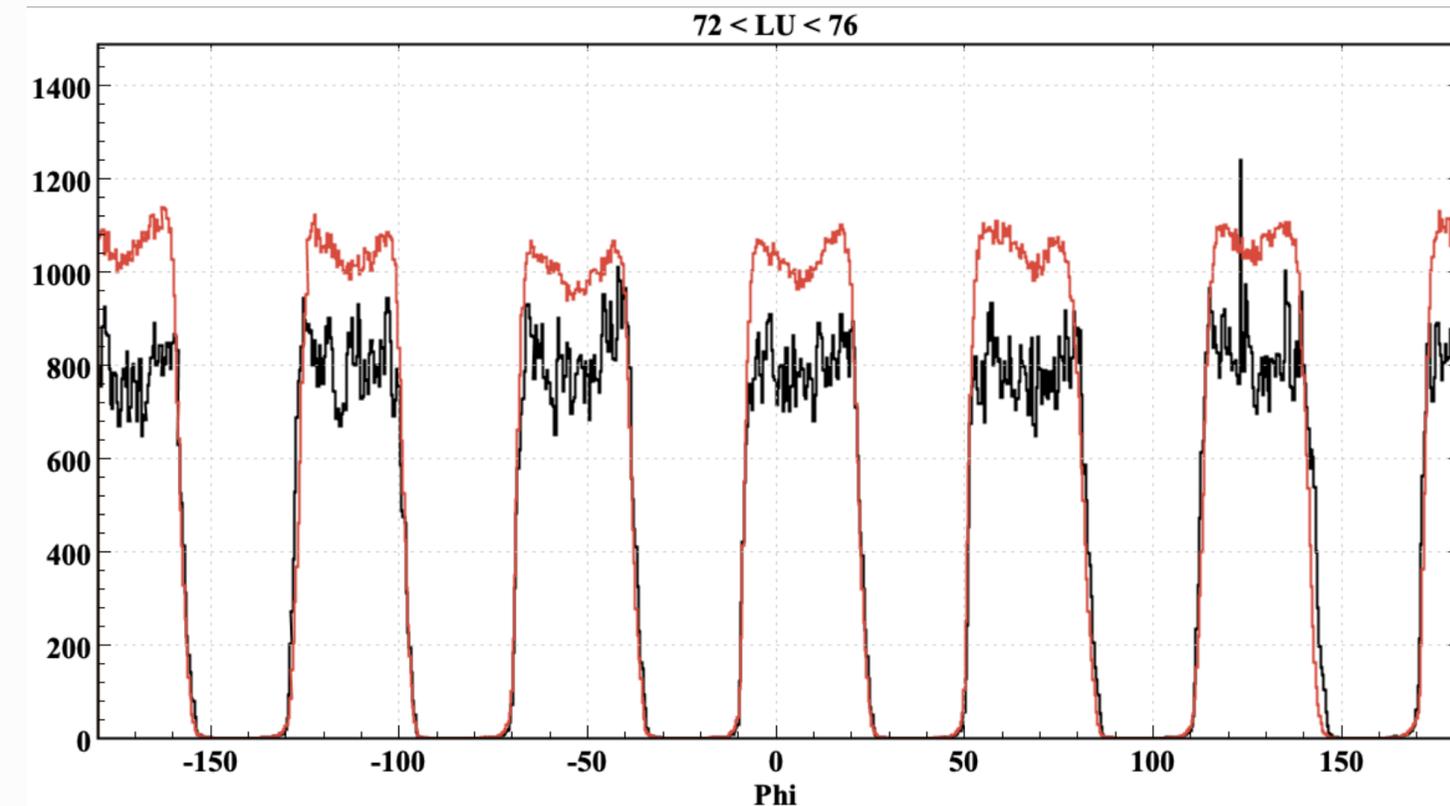
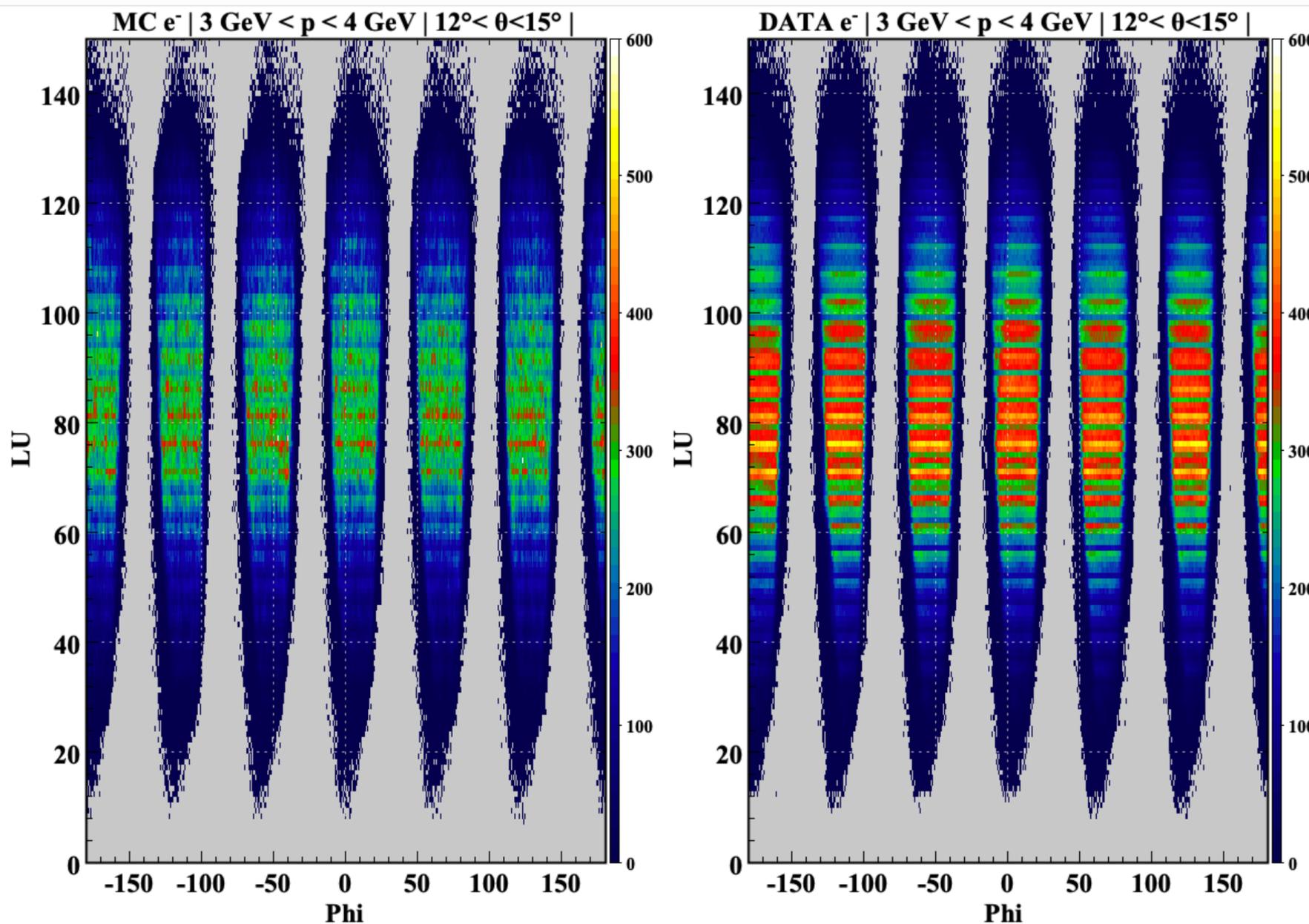
Study on systematics and radiative effects will be performed.

We expect to complete this analysis and submit an analysis note by this summer.

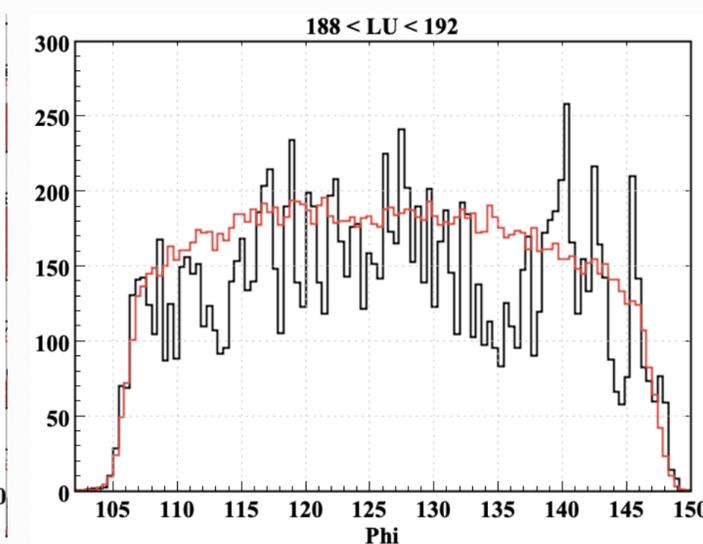
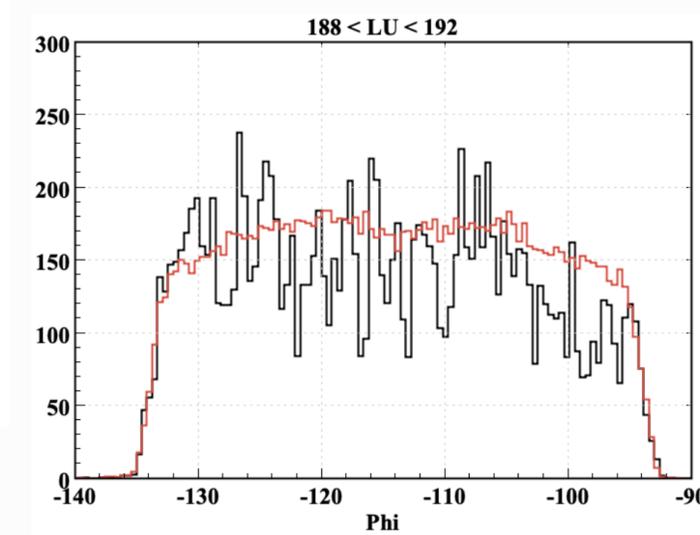
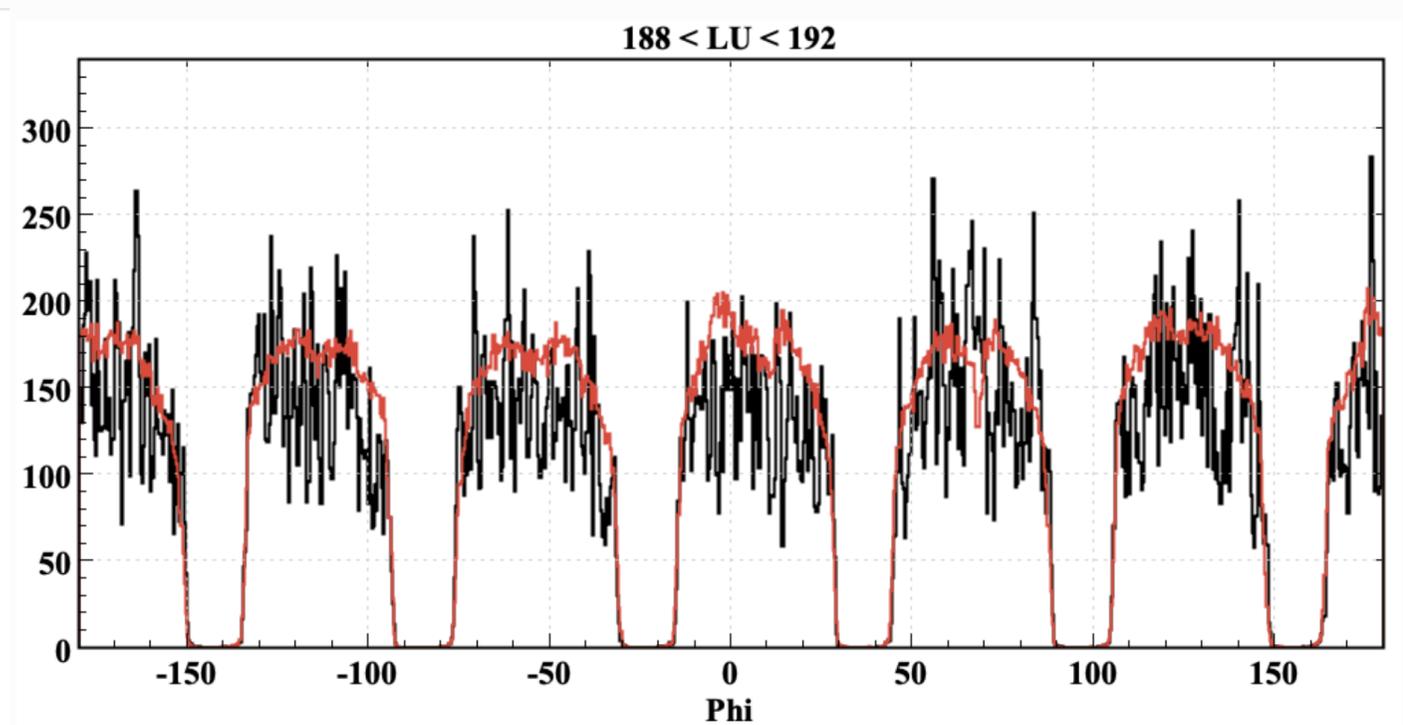
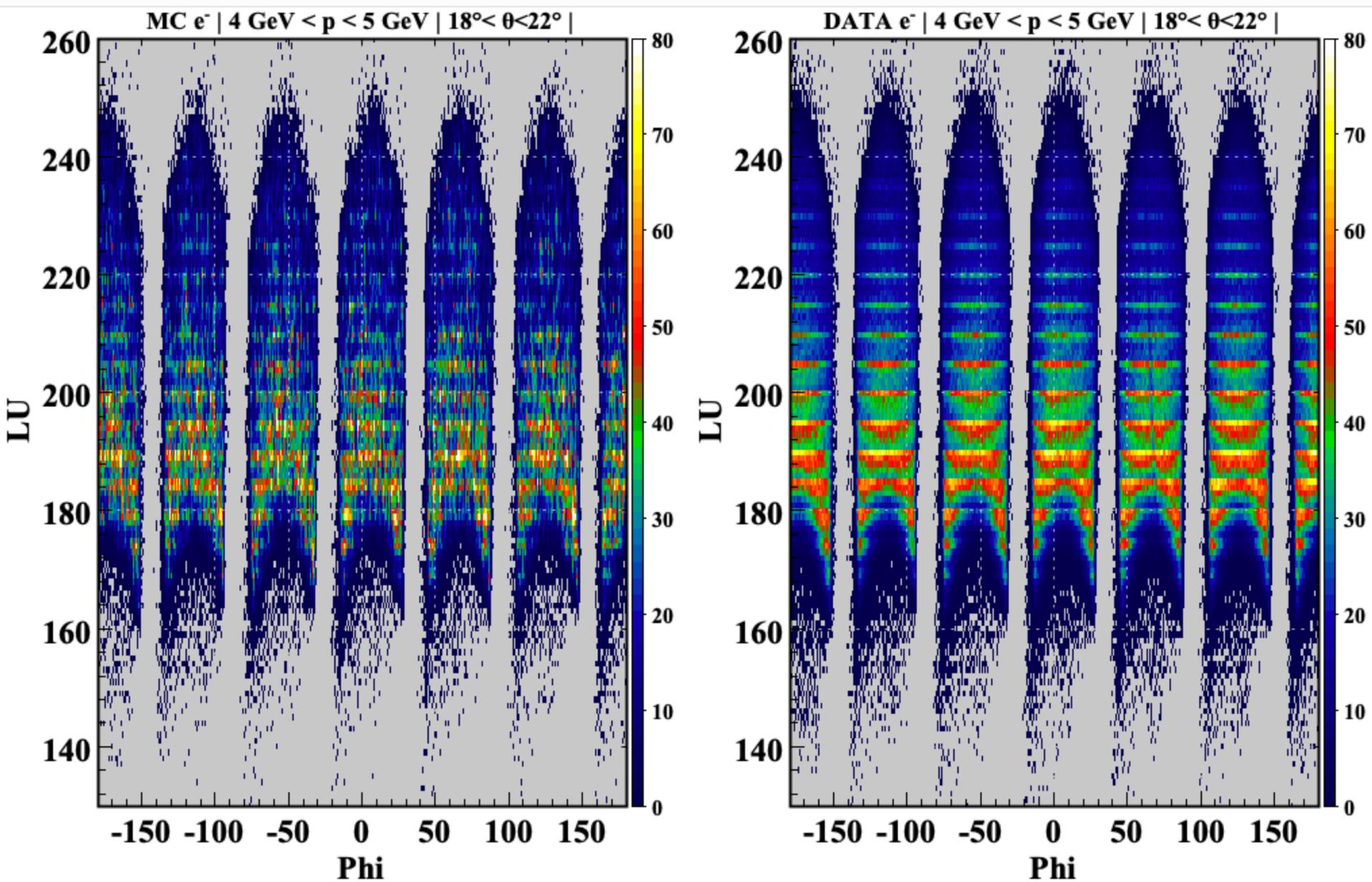


This work is supported by the DOE grant DE-SC0016583

The plots are normalized for the same number of DIS electron reconstructed (in a trustable interval of momentum and angle)



The plots are normalized for the same number of DIS electron reconstructed (in a trustable interval of momentum and angle)



In order to trust the acceptances and use them, we want to ensure that the reconstruction work similarly in data and MC.

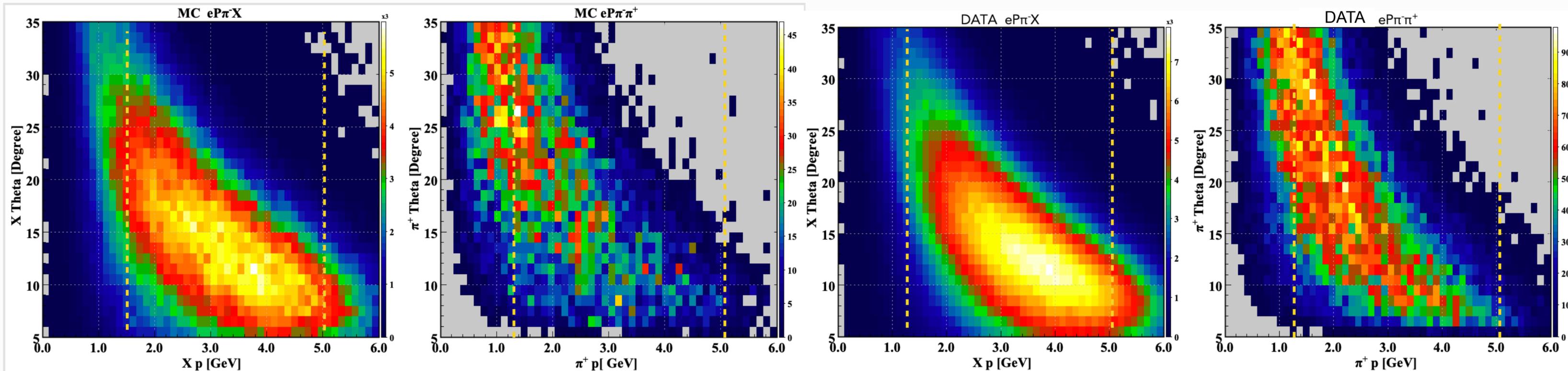
To do that I have looked at the reconstructed sample:

$eP\pi^- X$

and look in how many of these samples there were reconstructed, as $eP\pi^-\pi^+$ and nothing else.

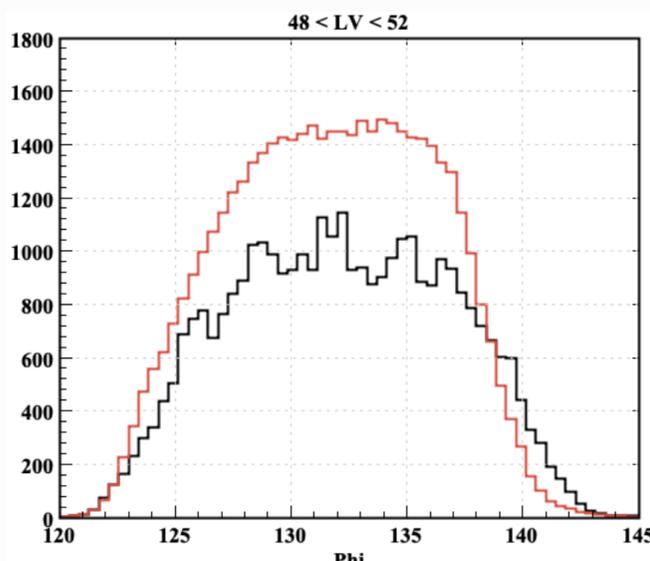
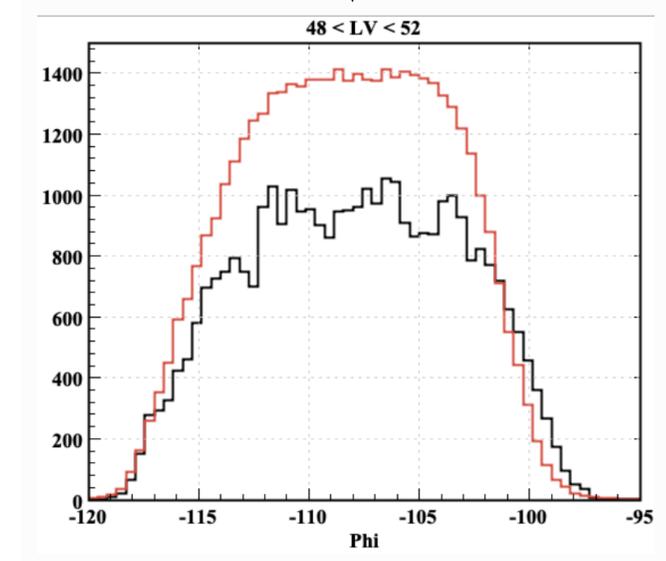
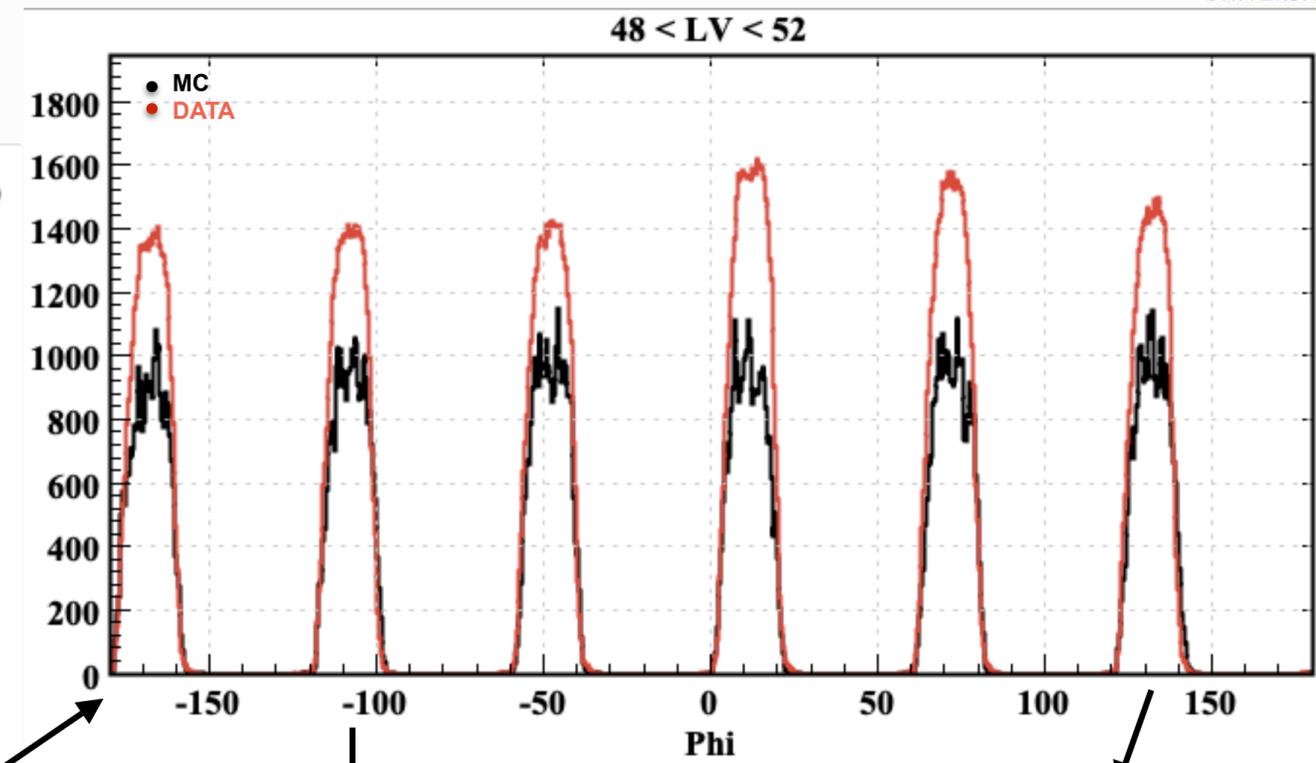
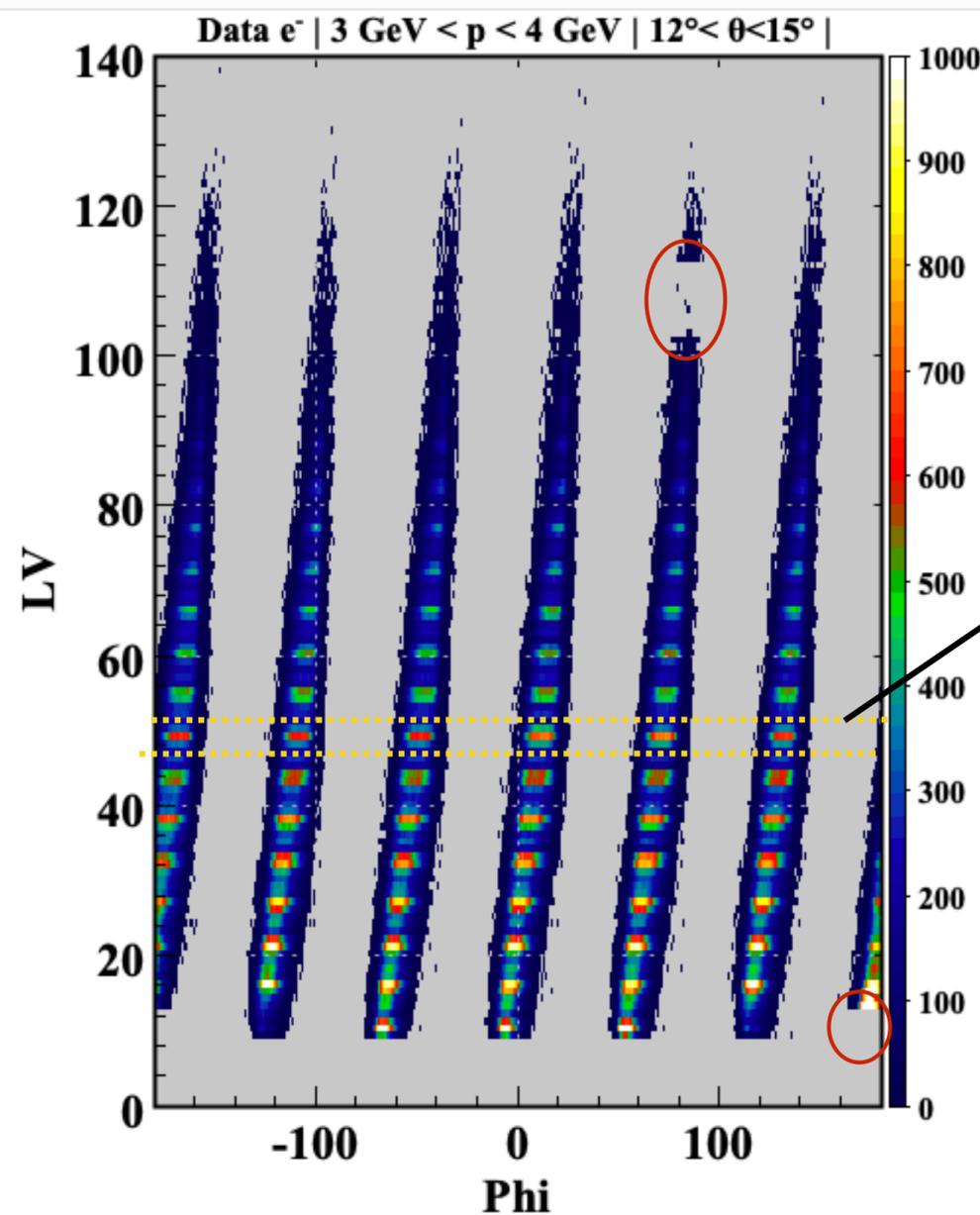
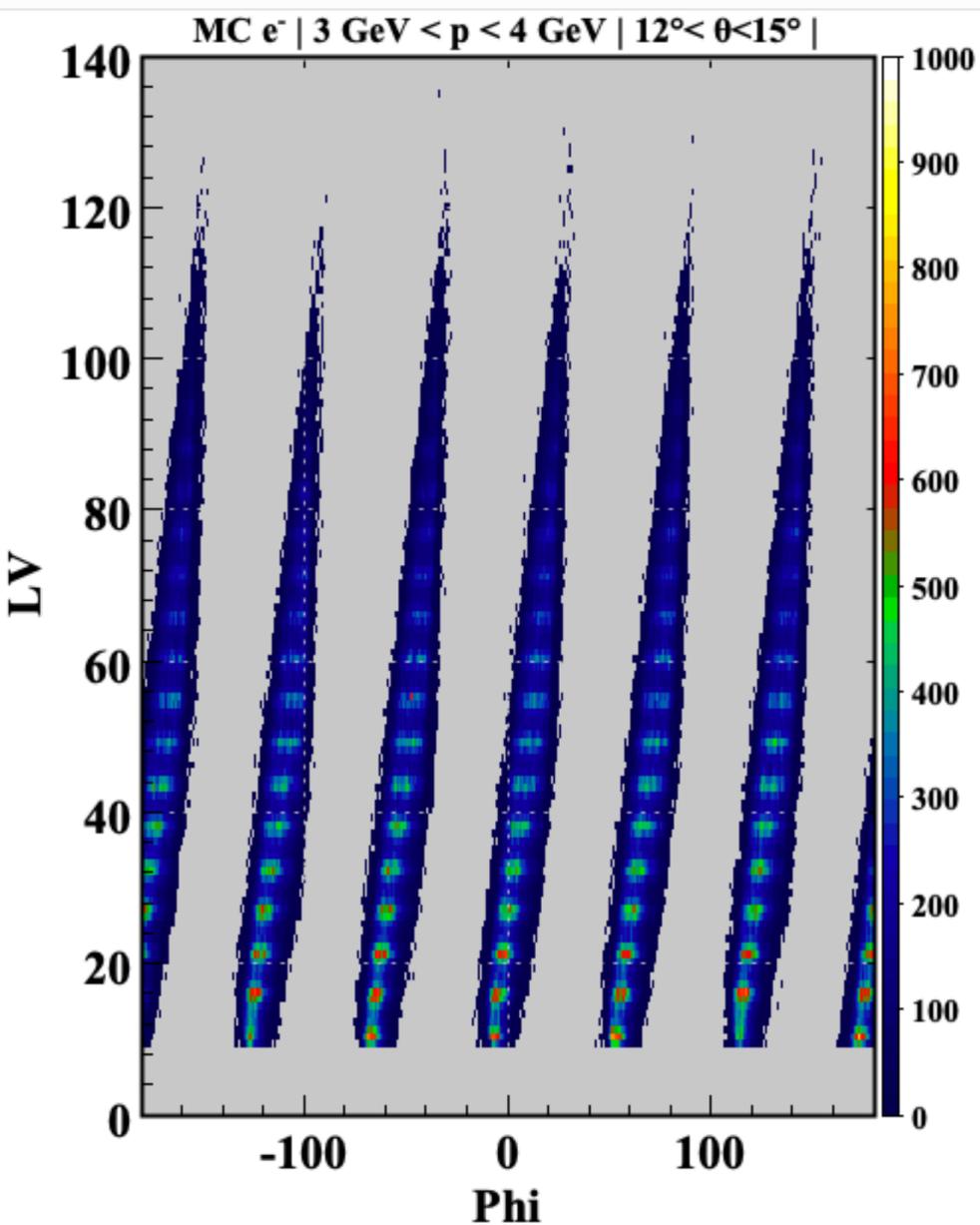
Compared this ratio between data and MC can gives us a first idea if we can trust our acceptances.

MC used is about 80% of DATA



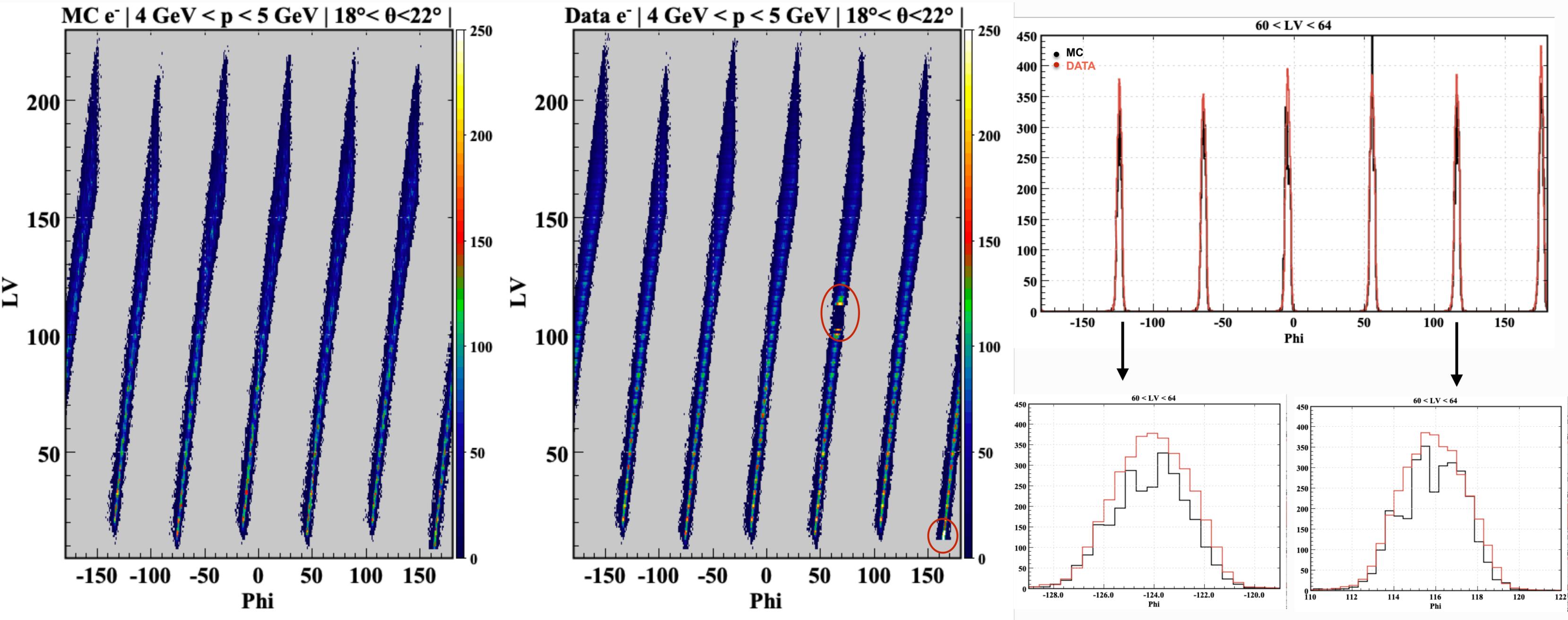
The plots are normalized for the same number of DIS electron reconstructed (in a trustable interval of momentum and angle)

Same reconstructed overall electron, but each strips shows significant differences.



The plots are normalized for the same number of DIS electron reconstructed (in a trustable interval of momentum and angle)

Less effects at higher



The plots are normalized for the same number of DIS electron reconstructed (in a trustable interval of momentum and angle)

