

CLAS Collaboration Meeting
March 2021

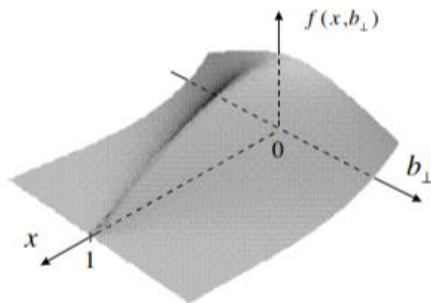
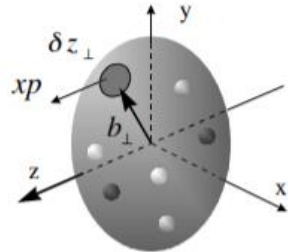
DVCS on proton and neutron from RGB data

A. HOBART, S. Niccolai

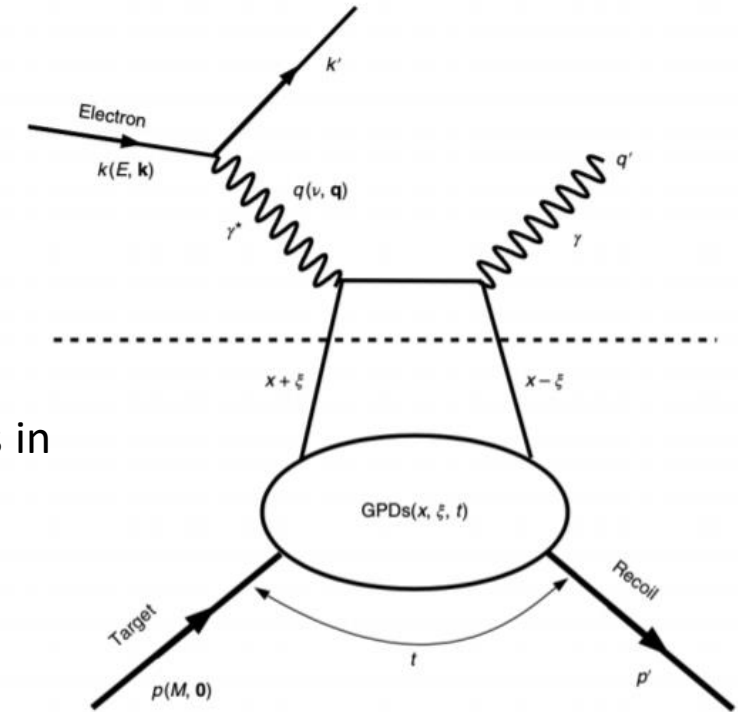


Motivations

- Generalized parton distribution at $\eta=0$



Generalised Parton Distributions (GPDs):
Correlation of position momentum of partons in
nucleon & the spin structure



Invariants

$$Q^2 = -(k - k')^2$$

$$x_B = Q^2 / (2qp)$$

$$y = (qp) / (kp)$$

$$t = (q - q')^2$$

- Nucleon internal structure: DVCS gives access to 4 complex GPDs-related quantities: Compton Form Factors CFF

$$\mathbf{H, E, \tilde{H}, \tilde{E}}(\mathbf{x}, \xi, t)$$

- 1 measured observable: a certain combination of GPDs
- Measurement of several observable: separation of GPDs
- Measure GPDs on both nucleons: flavour separation of GPD

$$(H, E)_u(\xi, \xi, t) = \frac{9}{15} [4(H, E)_p(\xi, \xi, t) - (H, E)_n(\xi, \xi, t)]$$

$$(H, E)_d(\xi, \xi, t) = \frac{9}{15} [4(H, E)_n(\xi, \xi, t) - (H, E)_p(\xi, \xi, t)]$$

Motivations

- Physics observable: Beam Spin Asymmetry BSA

- Scattering off neutron (nDVCS): GPD E

- Determination of Ji sum rule

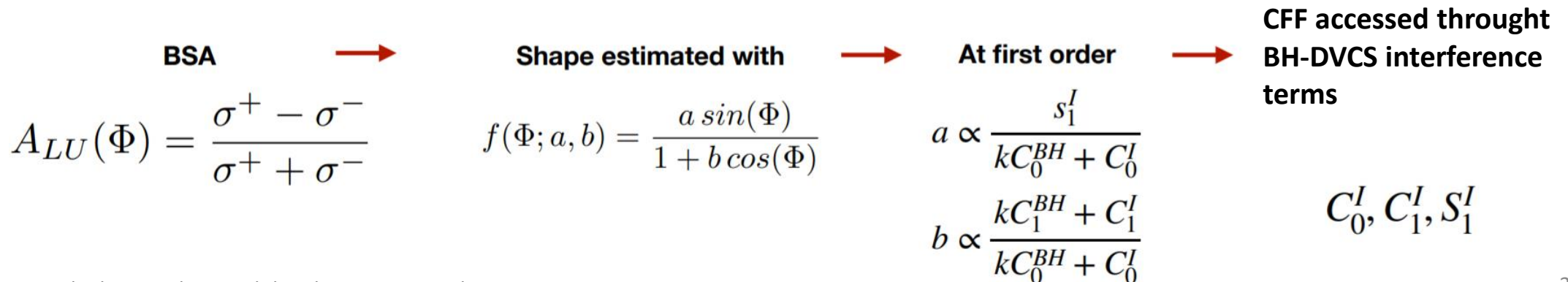
- Contribution of orbital angular momentum of quarks to the nucleon spin

$$J^q = \frac{1}{2} \int_{-1}^1 x dx [H^q(x, \xi, 0) + E^q(x, \xi, 0)]$$

- Scattering off proton (pDVCS): GPD H

- Quantify medium effects

- Essential for the extraction of BSA of a “free” neutron (de-convoluting medium effect)

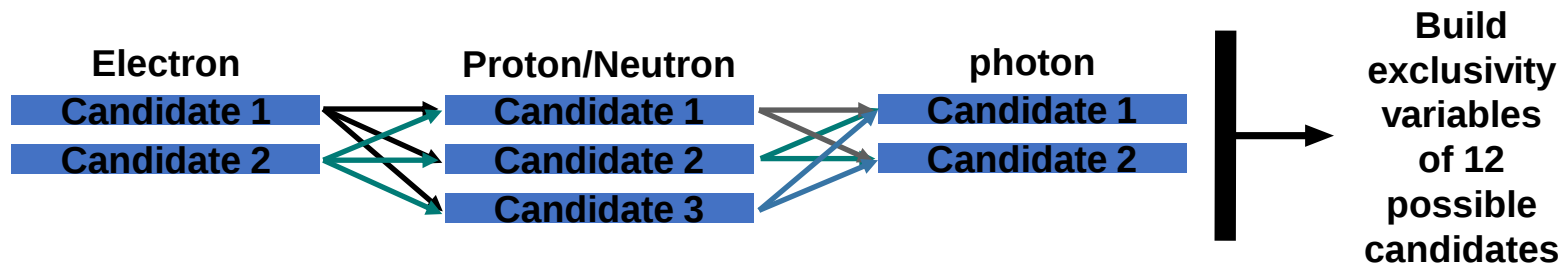


DVCS in RGB with CLAS12

- Experimental configuration:
 - Highly polarized electron beam (~86% polarization) measured with 9 Moeller runs
 - Unpolarized liquid deuterium target
 - Beam energies of 10.6 GeV and 10.2 GeV for the spring2019 inbending run
 - Beam energy of 10.4 GeV for the fall 2019 outbending run
- Run Dates considered in this talk for analysis:
 - Spring 2019 period : ~50% of all collected data. Magnet inbending
 - Fall 2019 period: ~25% of all collected data. Magnet outbending
- Selected runs:
 - the analysis of QA timelines after the pass-1 cooking

Channel selection

- Construct all the possible combinations of final state particles: $ed \rightarrow e' N \gamma (N_{\text{spec}})$
 - Final states reconstructed using CLAS12 PID + a dedicated charged particle veto for neutron selection optimisation
 - Best candidate in event is selected based on best exclusivity criteria (a multi-dimension χ^2 with all exclusivity variables)



- When a distribution shows a gaussian behavior, estimate cut with ± 5 standard deviations
- Fiducial cuts included for: electrons in PCAL and DC, photons in PCAL and protons in DC, neutron CVT dead zones

Reconstruction of final states and exclusive selection

- The nDVCS (pDVCS) final state is selected with the following exclusivity criteria: (n:nucleon)
 - Missing mass
 - $ed \rightarrow en\gamma X$
 - $en \rightarrow en\gamma X$
 - $en \rightarrow enX$
 - Missing momentum
 - $ed \rightarrow en\gamma X$
 - $\Delta\Phi, \Delta t, \theta(\gamma, X)$
 - Difference between two ways of calculating Φ and t
 - Difference in θ between measured and reconstructed photon

	Proton	Electron	Photon	Neutron
Momentum (GeV)	0.3	1	2	0.35

$Q^2 > 1 \text{ GeV}^2$ $W > 2 \text{ GeV}^2$

$\theta(e, \gamma) > 5^\circ$

Remove fake photons

On Fiducial cuts: taken from RGA studies

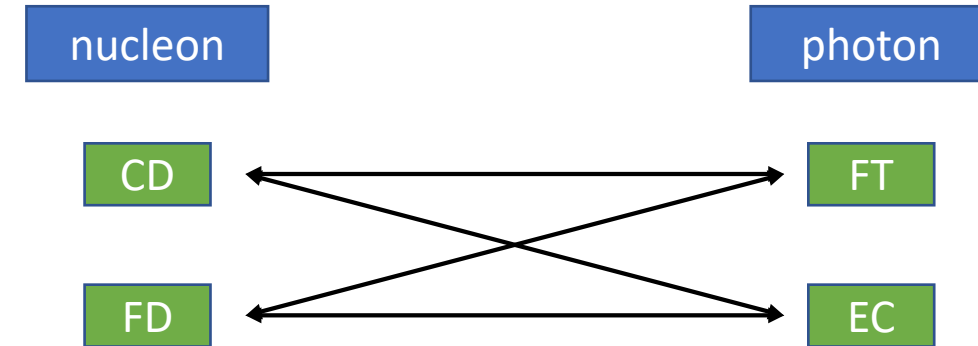
Credits: S.Diehl et al

[Run Group A - HallBWiki \(jlab.org\)](https://jlab.org/HallBWiki/RunGroupA)

- For electrons:
 - homogenous cut on the natural v and w coordinates of the PCAL to ensure enough distance between the cluster center and the edges
 - Ensure a homogenous response of DC: Reject not well reconstructed tracks from the sides; cut based on the position dependence of the χ^2/NDF distribution
- For photons:
 - cut based on the position dependence of the sampling fraction in the PCAL
- For Protons:
 - Ensure a homogenous response of DC: Reject not well reconstructed tracks from the sides; cut based on the position dependence of the χ^2/NDF distribution
- For neutrons (preliminary)
 - A direct cut on neutron phi distribution to remove dead regions of CVT: tracking efficiency drops to 0 making proton contamination in neutron sample too high; effect can be seen on exclusivity variables

On cut optimisation

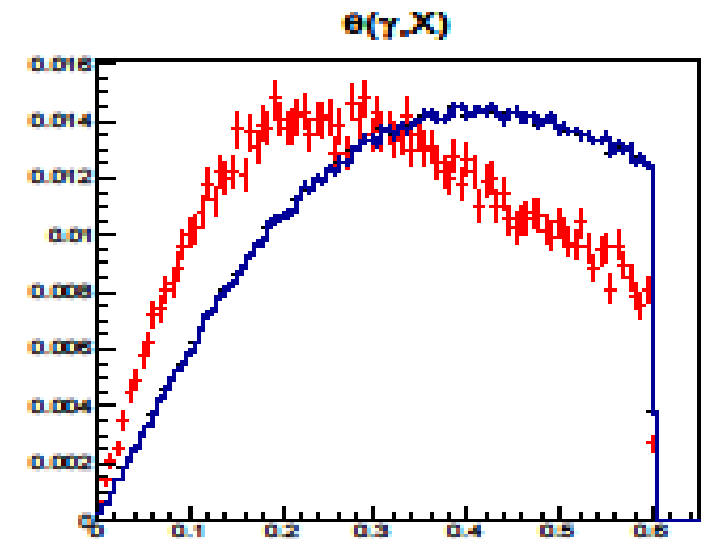
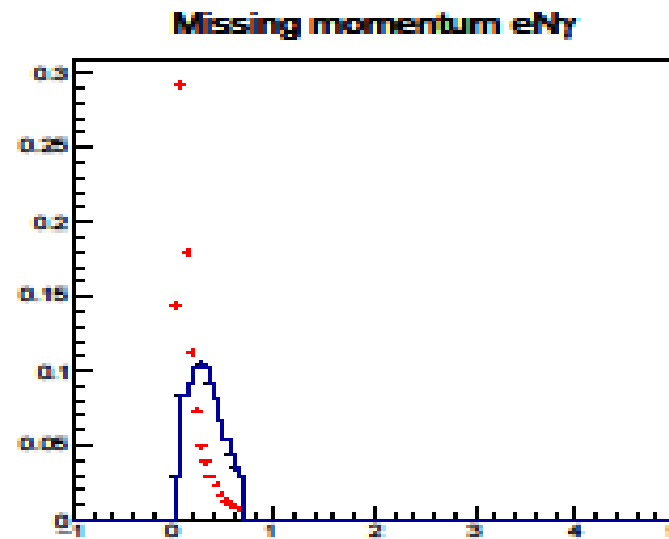
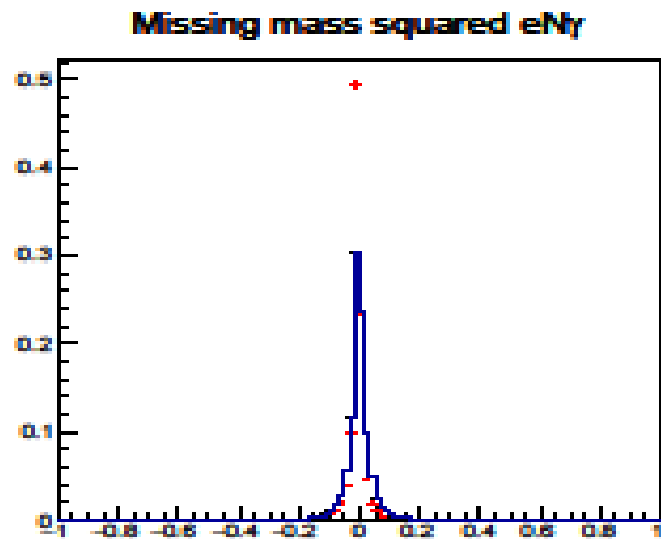
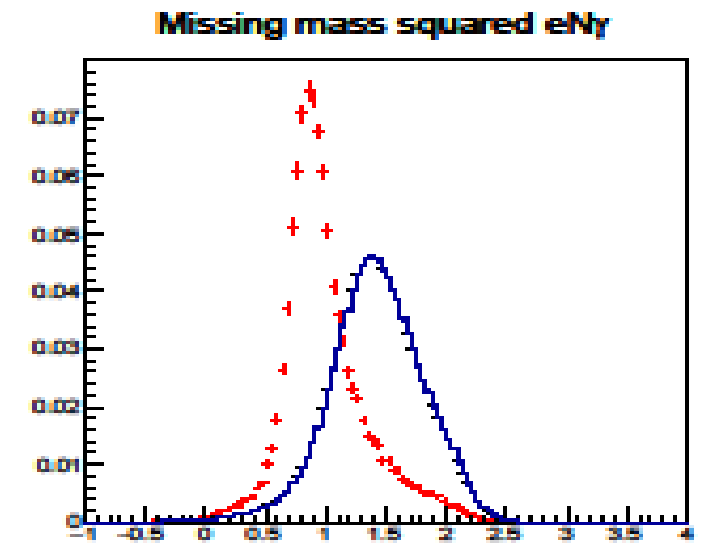
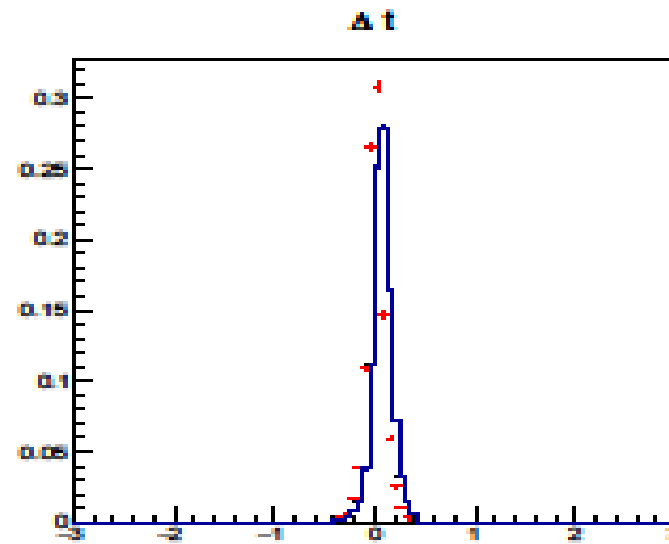
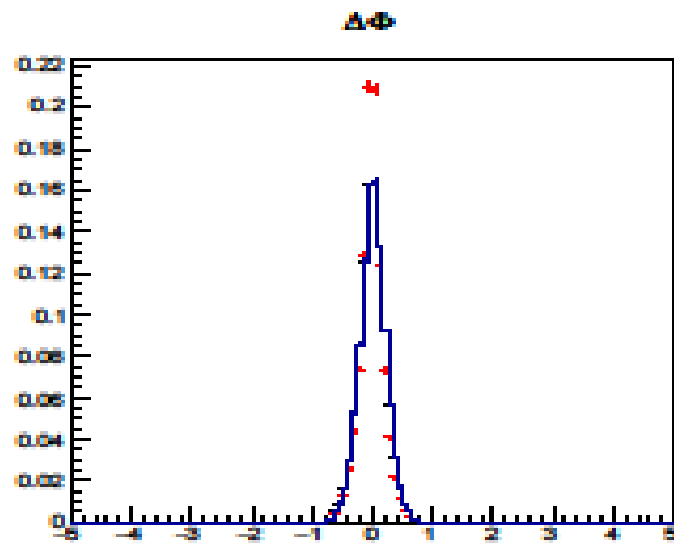
- A long process of optimising exclusivity selection per detection topology: different detectors require different cut values
- Compare DVCS and π^0 simulation (with background merging and reconstructed as DVCS) looking at the « DVCS » exclusivity variables
 - cut in order to minimize π^0 and not lose too much DVCS



- In what follows, I will mainly show plots of distributions integrated over all topologies
- If you are interested to see plots for all combinations of detection topologies please check:
 - <https://ipnshare.in2p3.fr/owncloud/index.php/s/Mb5hrkDWRVdMq3J>

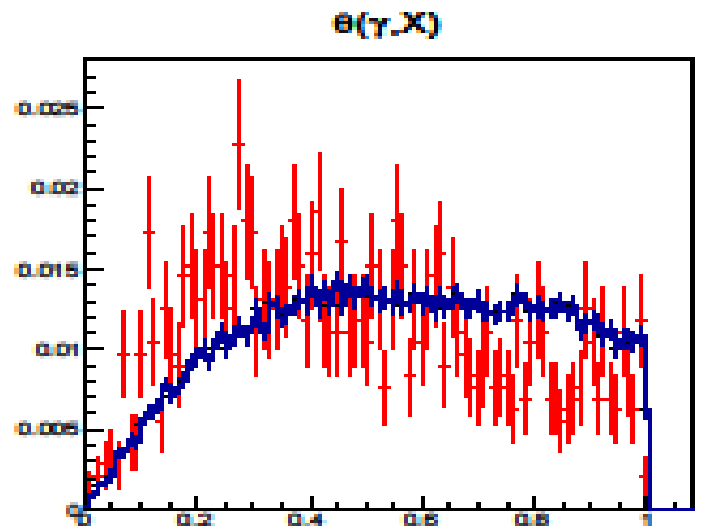
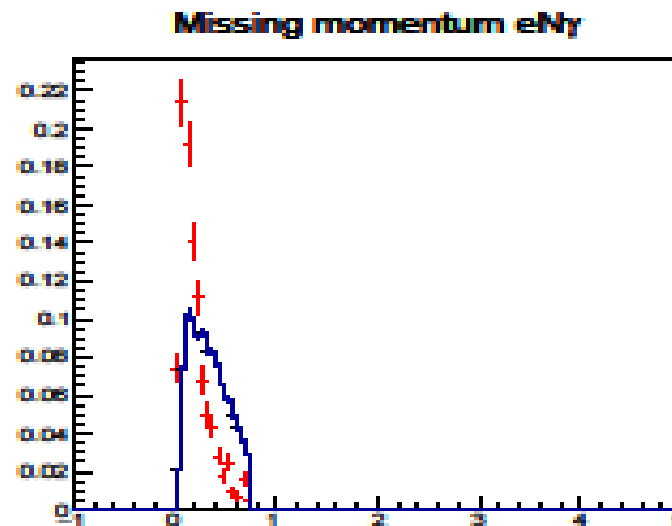
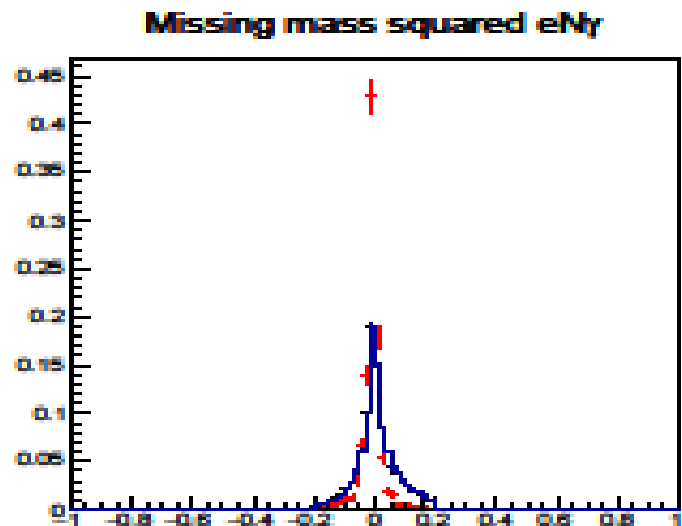
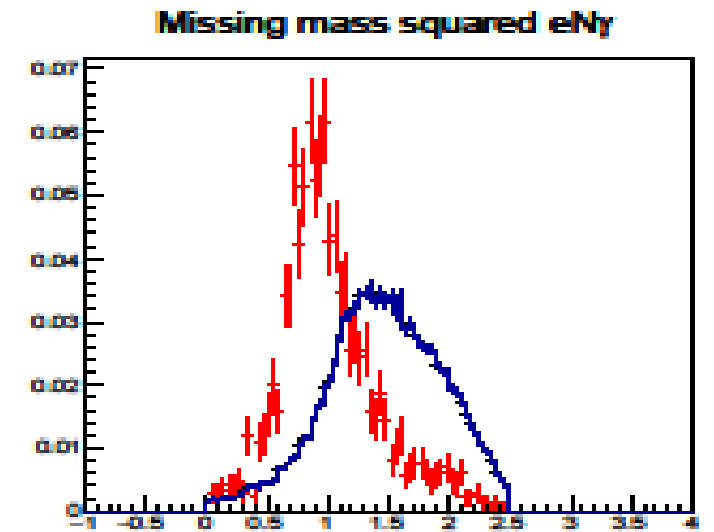
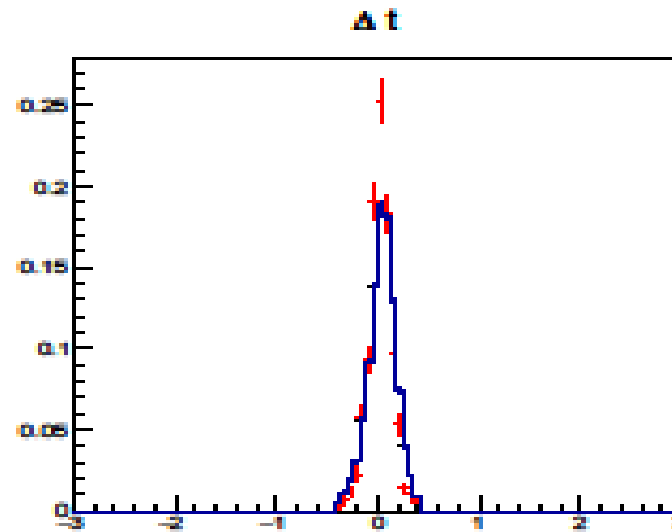
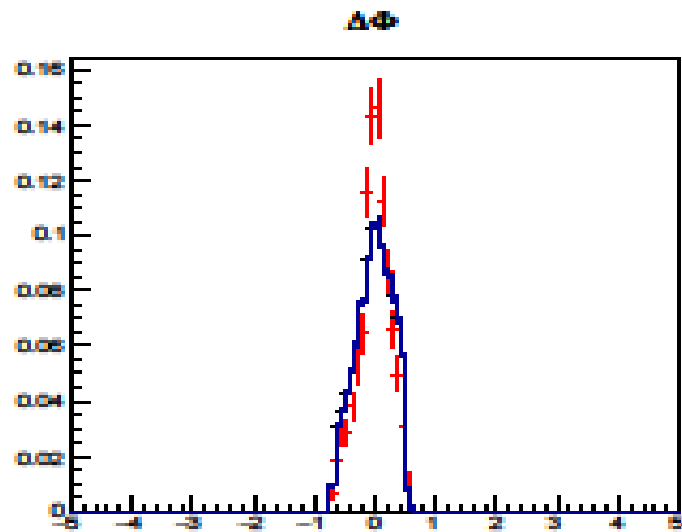
Exclusivity variables: pDVCS

Red is MC with background merging
Blue is data with π^0 background



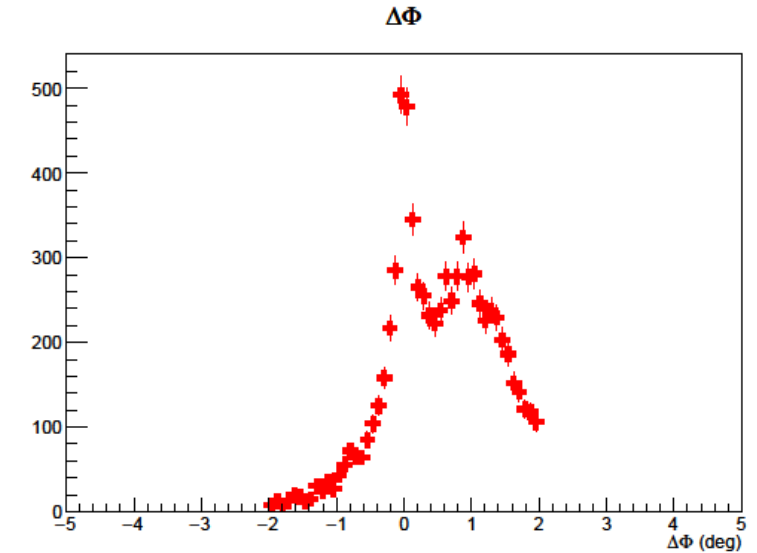
Exclusivity variables: nDVCS

Red is MC with background merging
Blue is data with π^0 background

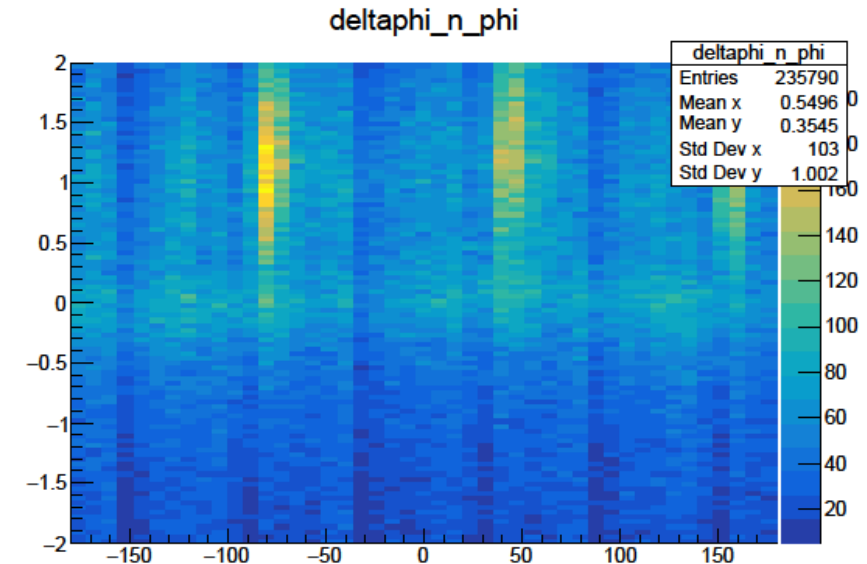


On proton contamination in neutron sample

- Could be clearly observed in the distribution of Delta Phi (both in MC & data)
- Phi is wrongly evaluated when the neutron is actually a proton
- A second bump in the distribution of delta Phi appears
- This is extensively under investigation by Paul Naidoo



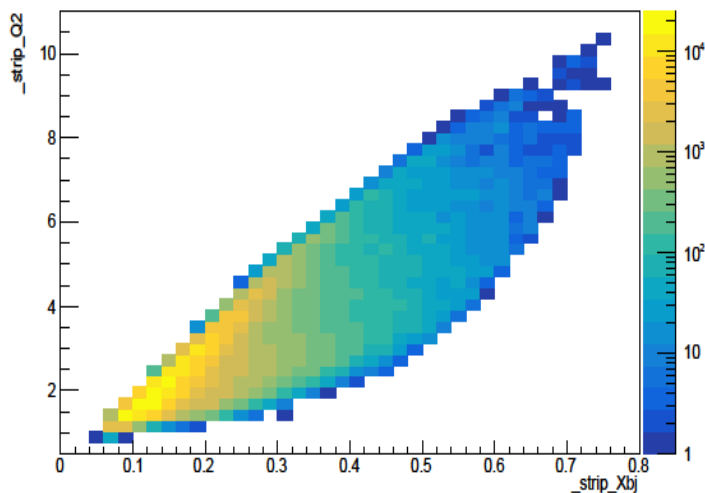
- Ongoing work:
- Train neural nets directly on data:
 - Use clean neutron sample from RGK 7.5 GeV data: $ep \rightarrow en\pi^+$ (true neutron are identified based on missing mass criteria) as signal
 - Use clean proton sample from RGB data: $ed \rightarrow e\pi\pi^0$ as background
- Use information from central detectors CND and CTOF to perform separation: energy, hit and layer multiplicities



Kinematical reach:pDVCS

$$\begin{aligned}\langle Q^2 \rangle &= 2.48 \text{ GeV}^2 \\ \langle -t \rangle &= 0.49 \text{ GeV}^2 \\ \langle x_B \rangle &= 0.18\end{aligned}$$

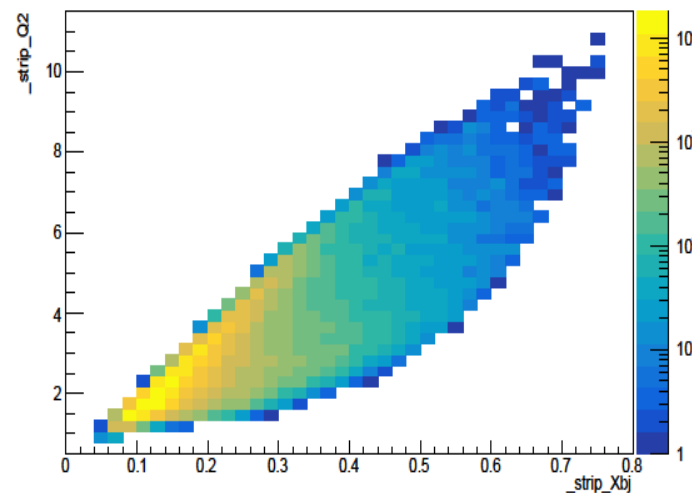
10.2 GeV



spring2019

$$\begin{aligned}\langle Q^2 \rangle &= 2.58 \text{ GeV}^2 \\ \langle -t \rangle &= 0.50 \text{ GeV}^2 \\ \langle x_B \rangle &= 0.19\end{aligned}$$

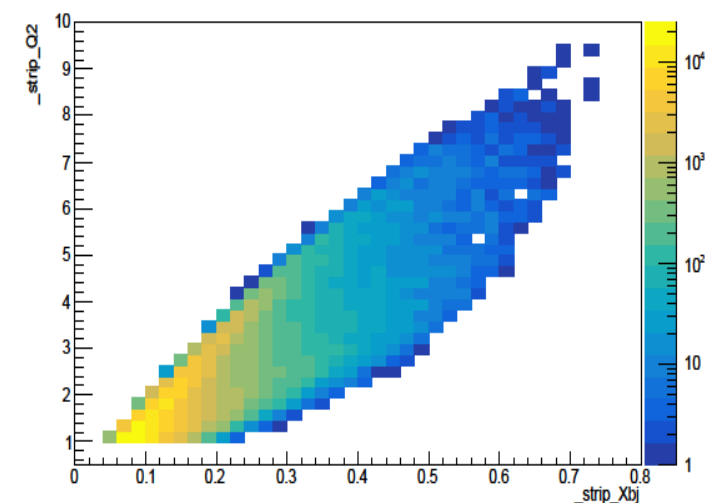
10.6 GeV



spring2019

$$\begin{aligned}\langle Q^2 \rangle &= 1.84 \text{ GeV}^2 \\ \langle -t \rangle &= 0.44 \text{ GeV}^2 \\ \langle x_B \rangle &= 0.14\end{aligned}$$

10.4 GeV

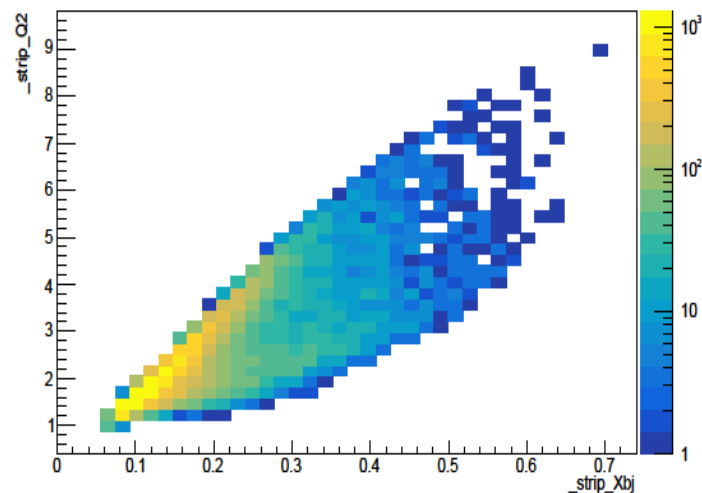


Fall2019
outbending

Kinematical reach:nDVCS

$$\begin{aligned}\langle Q^2 \rangle &= 2.40 \text{ GeV}^2 \\ \langle -t \rangle &= 0.39 \text{ GeV}^2 \\ \langle x_B \rangle &= 0.18\end{aligned}$$

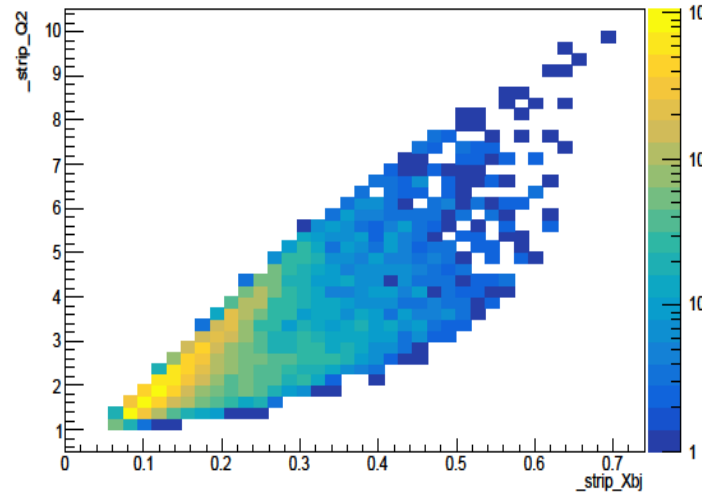
10.2 GeV



spring2019

$$\begin{aligned}\langle Q^2 \rangle &= 2.50 \text{ GeV}^2 \\ \langle -t \rangle &= 0.40 \text{ GeV}^2 \\ \langle x_B \rangle &= 0.18\end{aligned}$$

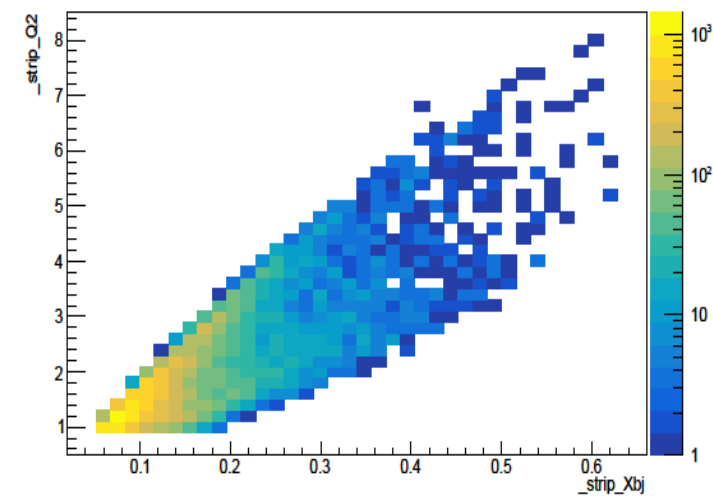
10.6 GeV



spring2019

$$\begin{aligned}\langle Q^2 \rangle &= 1.79 \text{ GeV}^2 \\ \langle -t \rangle &= 0.36 \text{ GeV}^2 \\ \langle x_B \rangle &= 0.14\end{aligned}$$

10.4 GeV

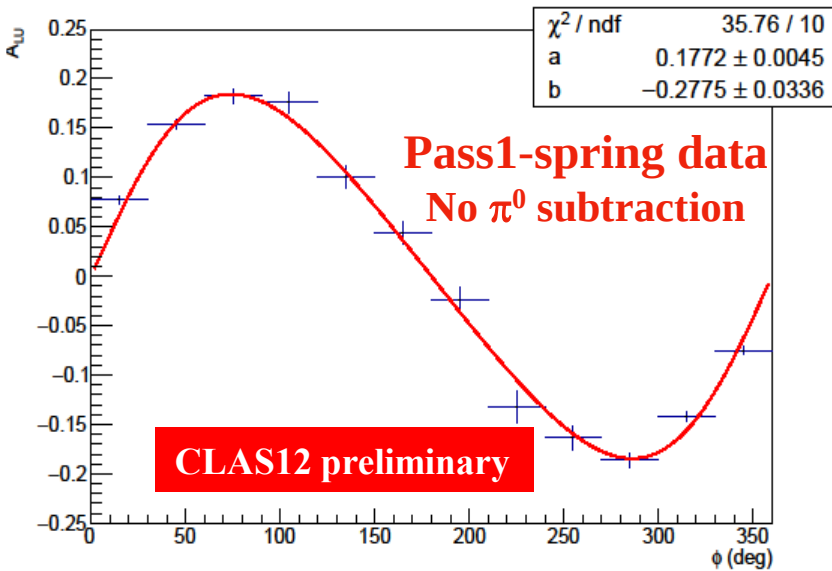


Fall2019
outbending

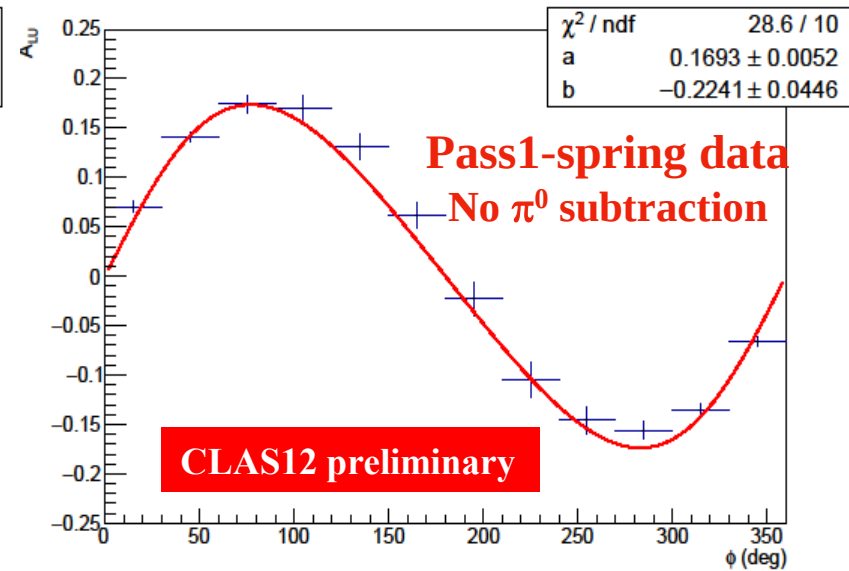
Incoherent pDVCS on deuterium

Fit function: $\frac{a \sin \varphi}{1 + b \cos \varphi}$

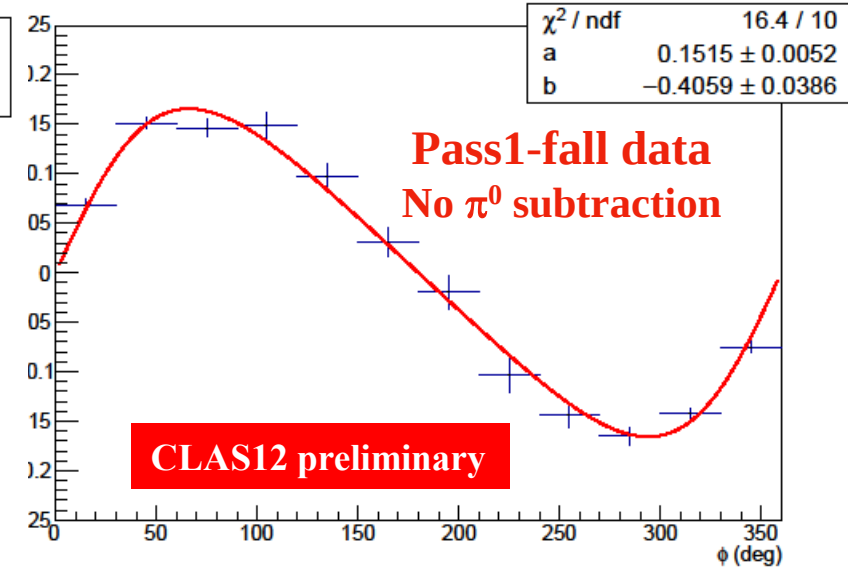
ed $\rightarrow$ e γ (n)



- Raw BSA integrated over all kinematics and detection topologies
- Beam energy = 10.2 GeV



- Raw BSA integrated over all kinematics and detection topologies
- Beam energy = 10.6 GeV

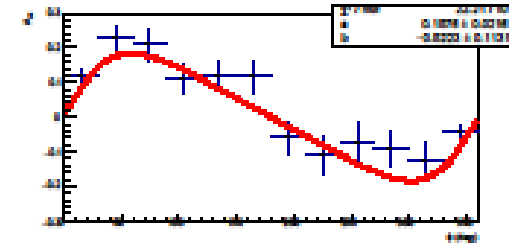
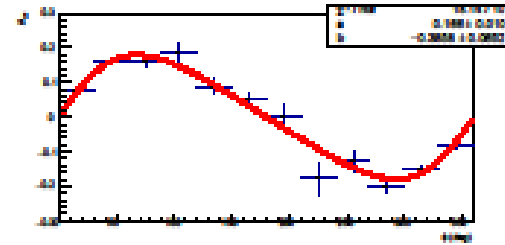
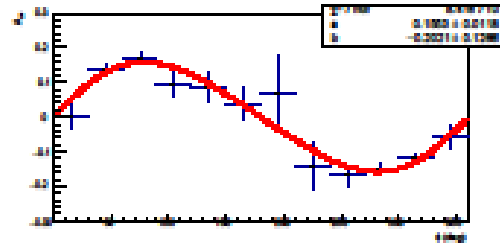


- Raw BSA integrated over all kinematics and detection topologies
- Beam energy = 10.4 GeV

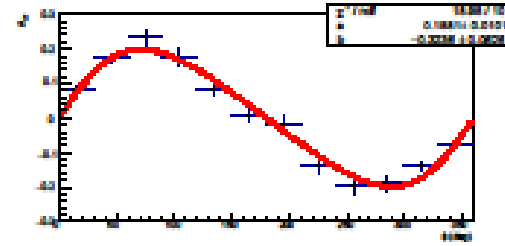
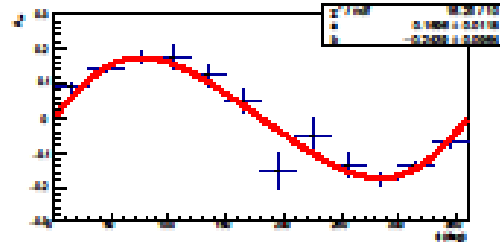
pDVCS binned BSA 10.2 GeV beam energy

Q^2 bins (GeV²)

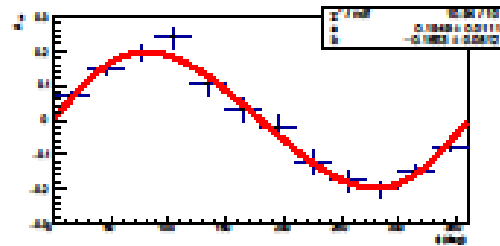
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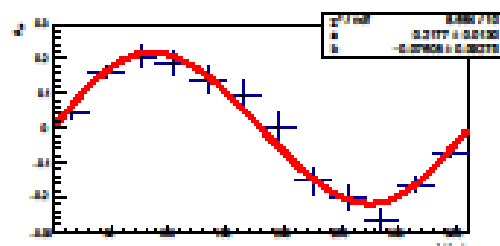
[2,3]



[3,4]



[4,inf]



[0.05,0.1]

[0.1,0.17]

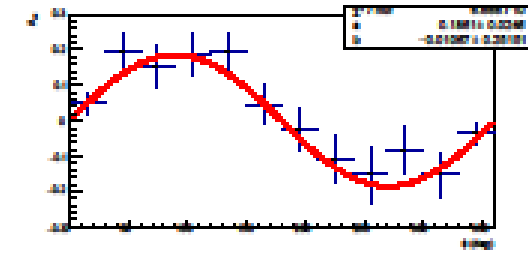
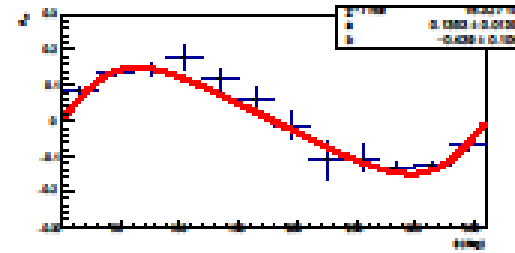
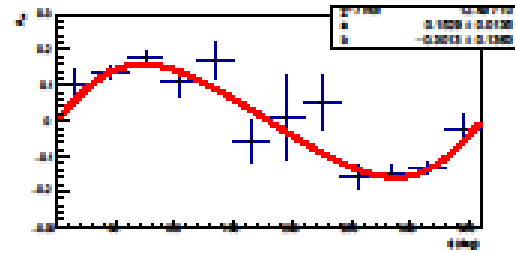
[0.17,inf]

x_B bins

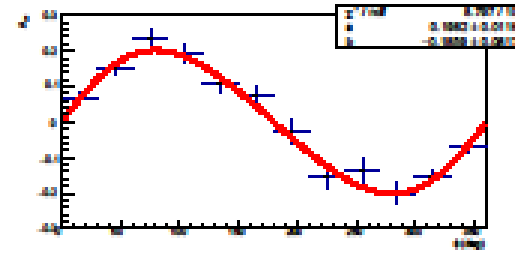
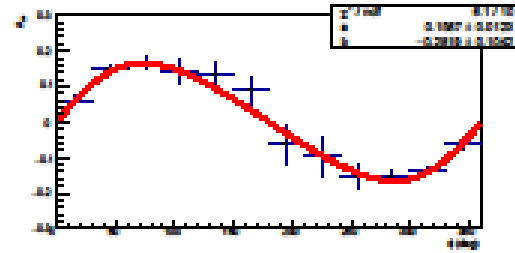
pDVCS binned BSA 10.6 GeV beam energy

Q^2 bins (GeV²)

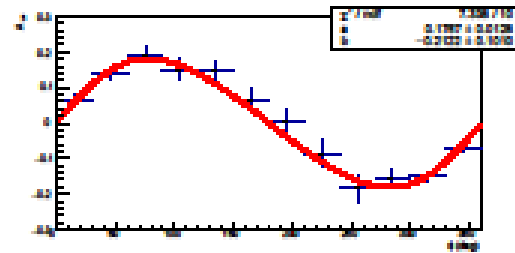
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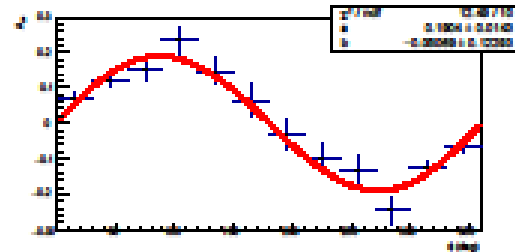
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[3,4]



[4,inf]



[0.05,0.1]

[0.1,0.17]

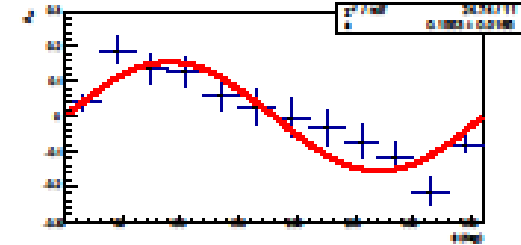
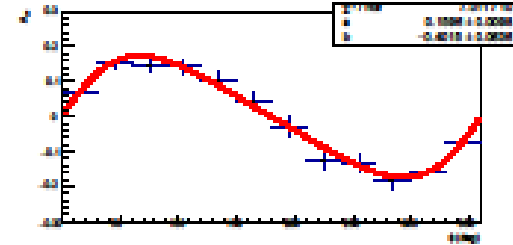
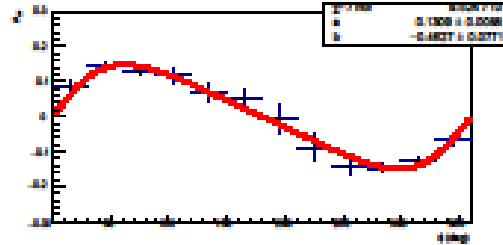
[0.17,inf]

x_B bins

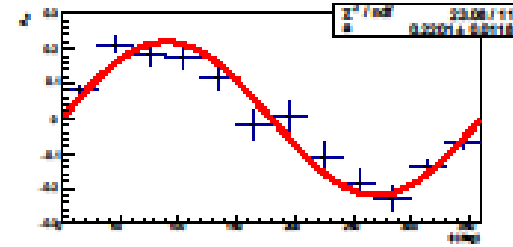
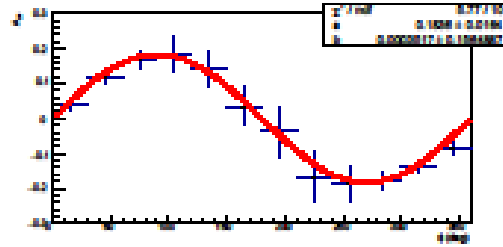
pDVCS binned BSA 10.4 GeV beam energy

Q^2 bins (GeV²)

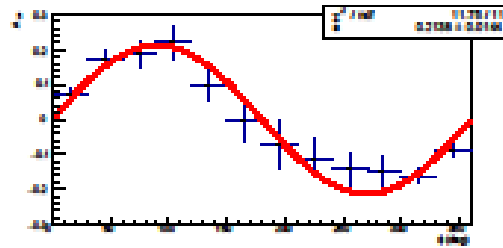
[1,2]



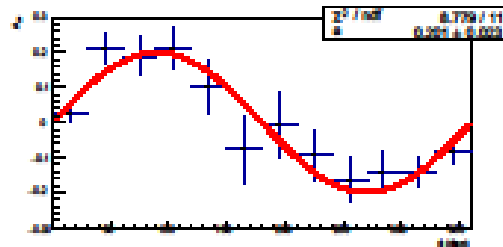
[2,3]



[3,4]



[4,inf]



[0.05,0.1]

[0.1,0.17]

[0.17,inf]

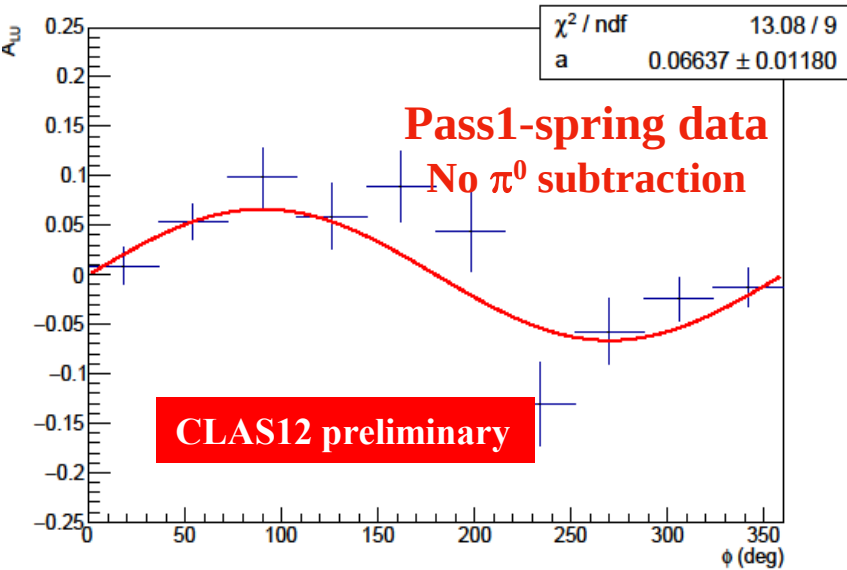
x_B bins

nDVCS with RGB data

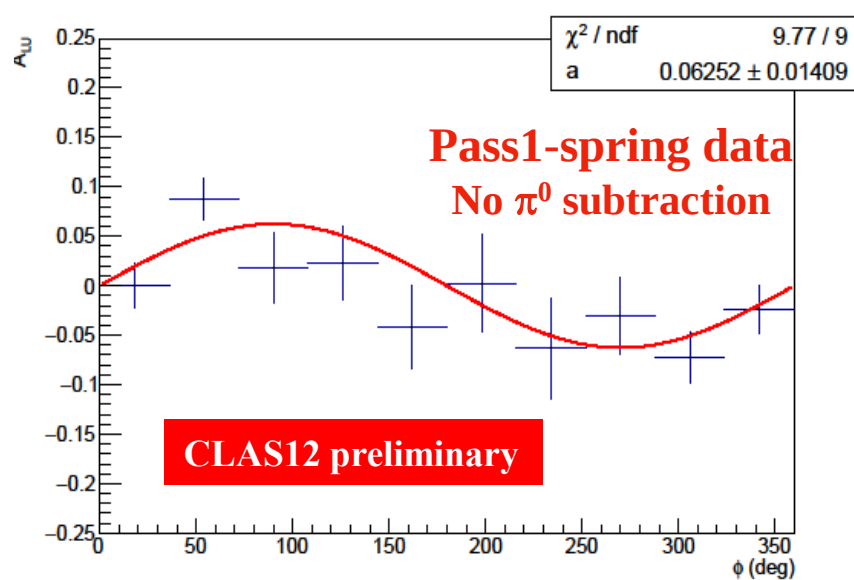
First-time measurement of BSA for nDVCS with exclusive final state selection:

Fit function: $a \sin \phi$

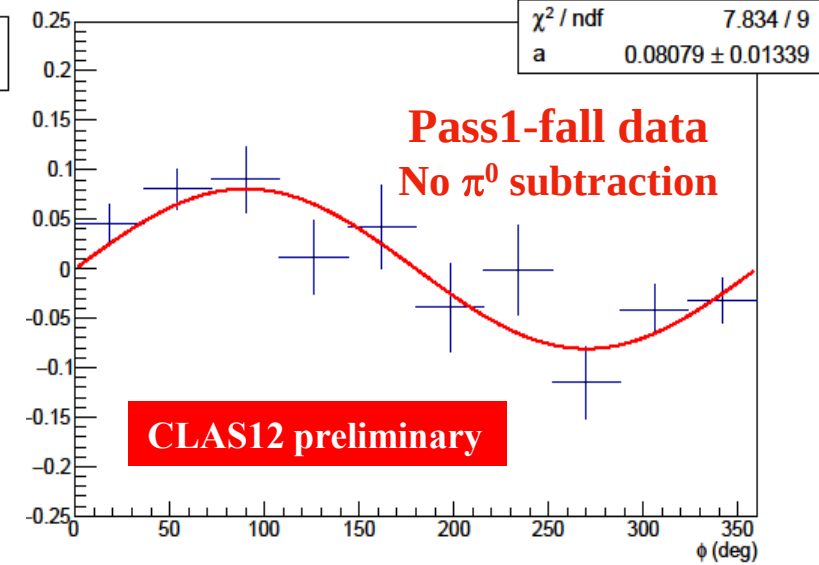
ed $\rightarrow$ e γ (n)



- Raw BSA integrated over all kinematics and detection topologies
- Beam energy = 10.2 GeV

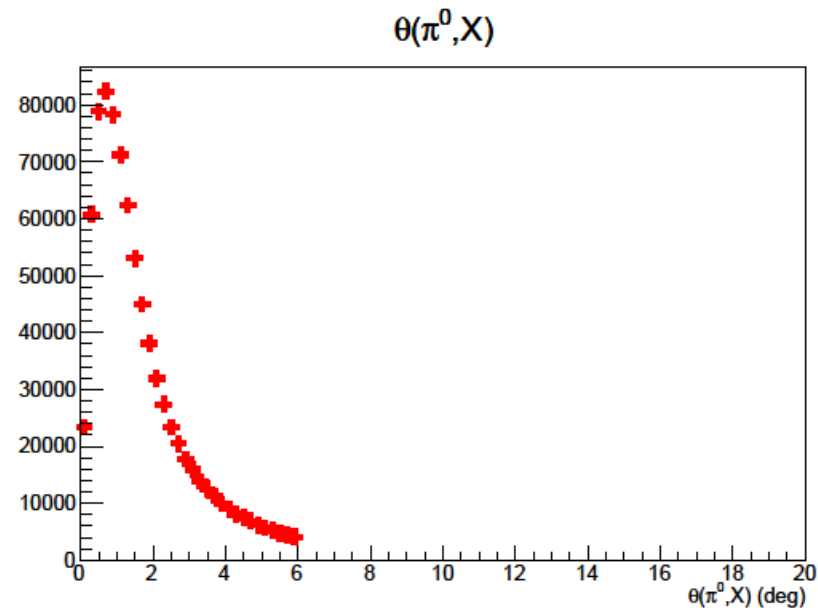
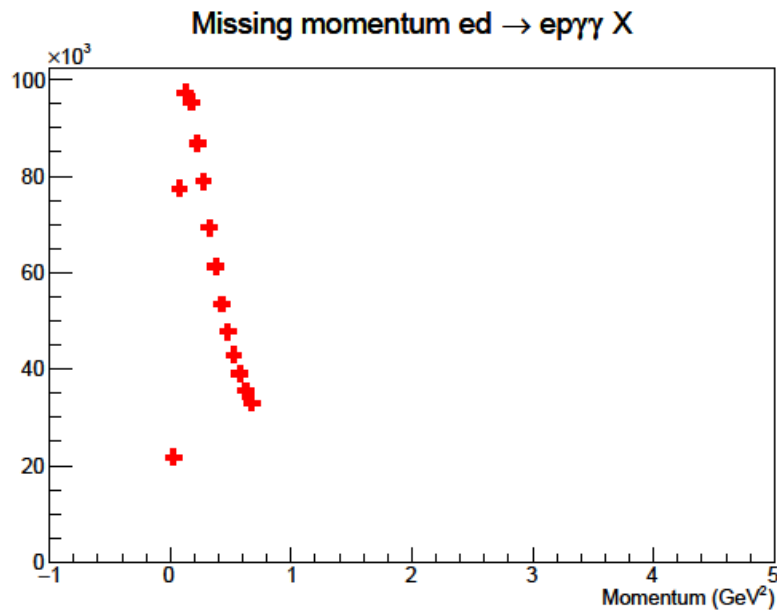
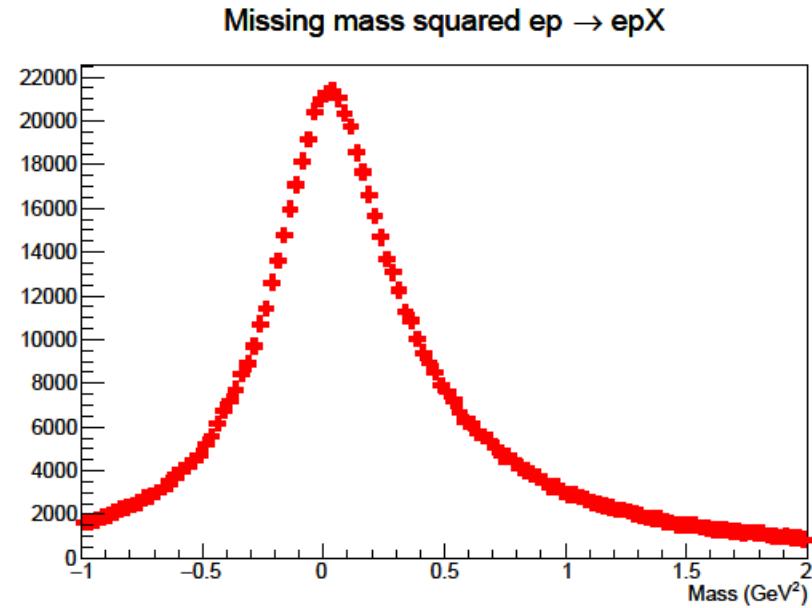
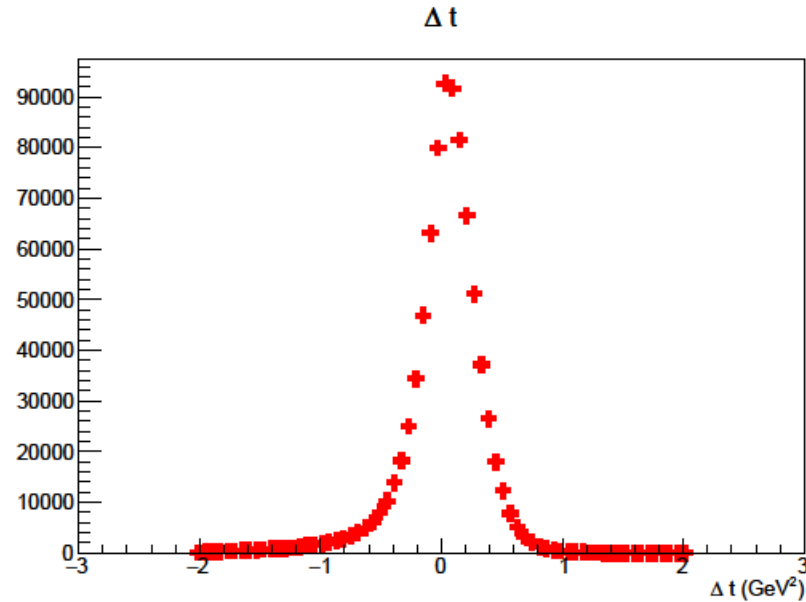
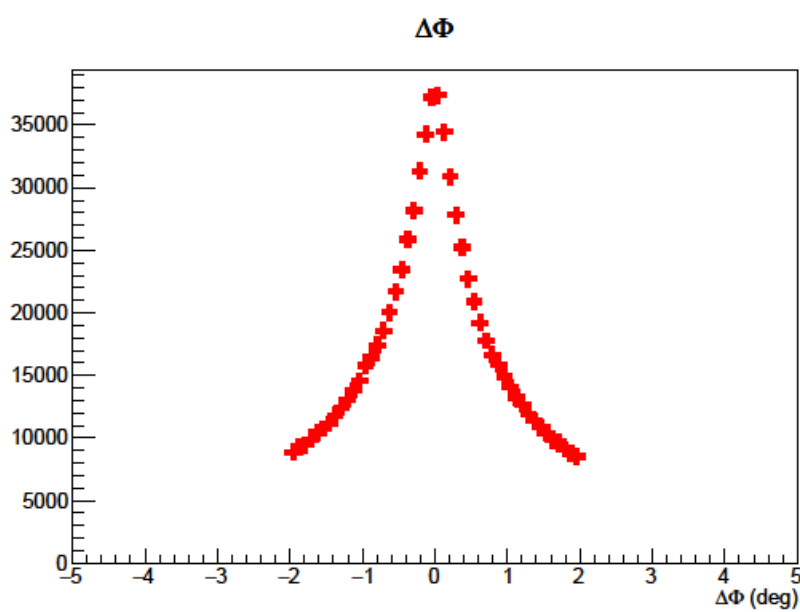


- Raw BSA integrated over all kinematics and detection topologies
- Beam energy = 10.6 GeV



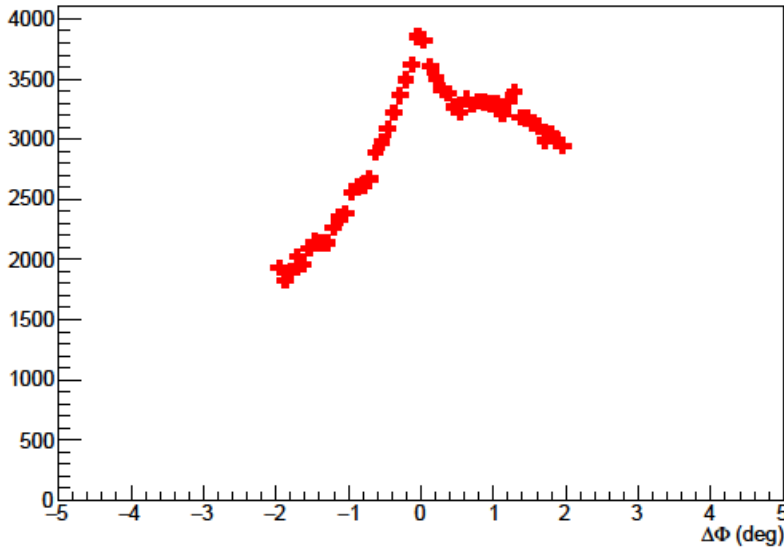
- Raw BSA integrated over all kinematics and detection topologies
- Beam energy = 10.4 GeV

epPi0 Exclusivity Variables: all detection topologies

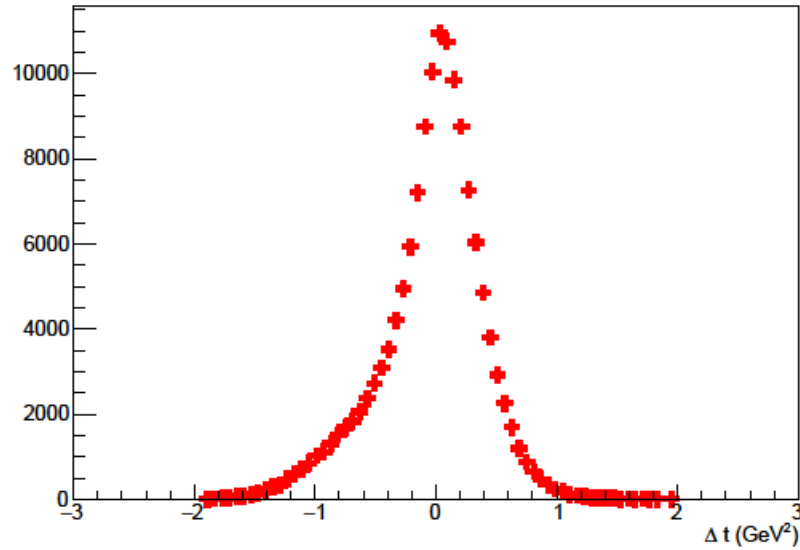


enPi0 Exclusivity Variables: all detection topologies

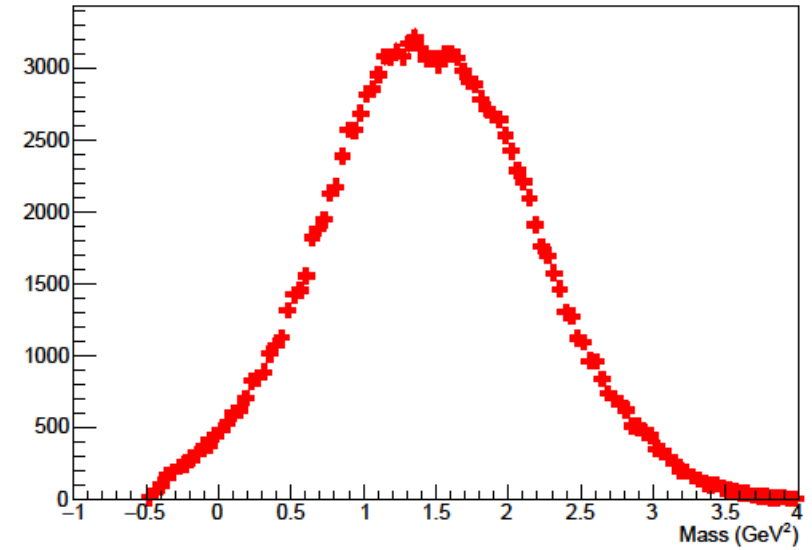
$\Delta\Phi$



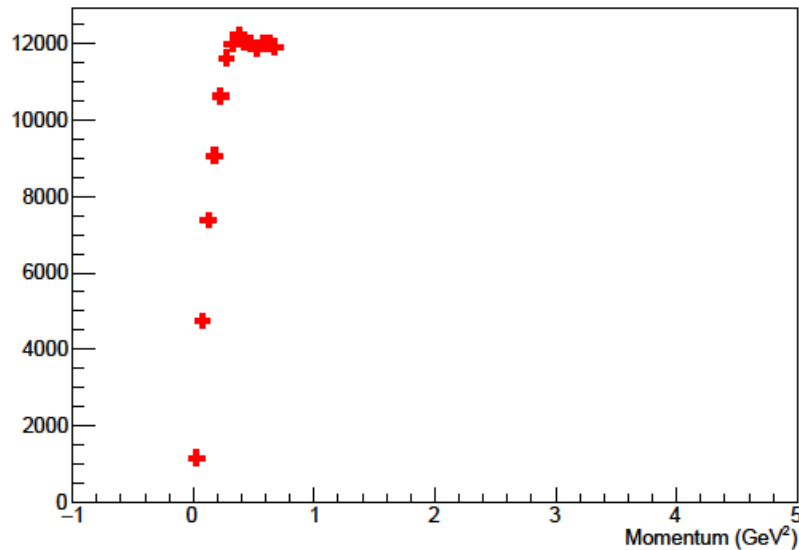
Δt



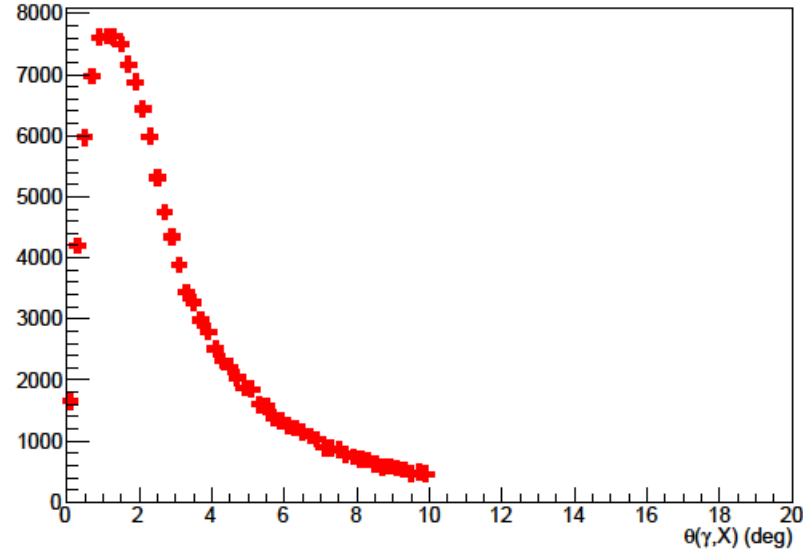
Missing mass squared $ed \rightarrow e\gamma\gamma X$



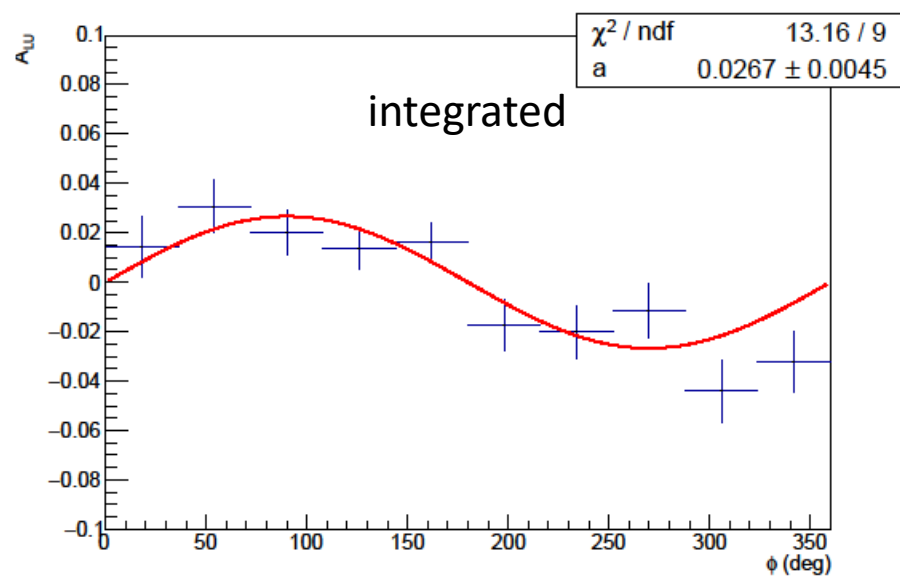
Missing momentum $ed \rightarrow e\gamma\gamma X$



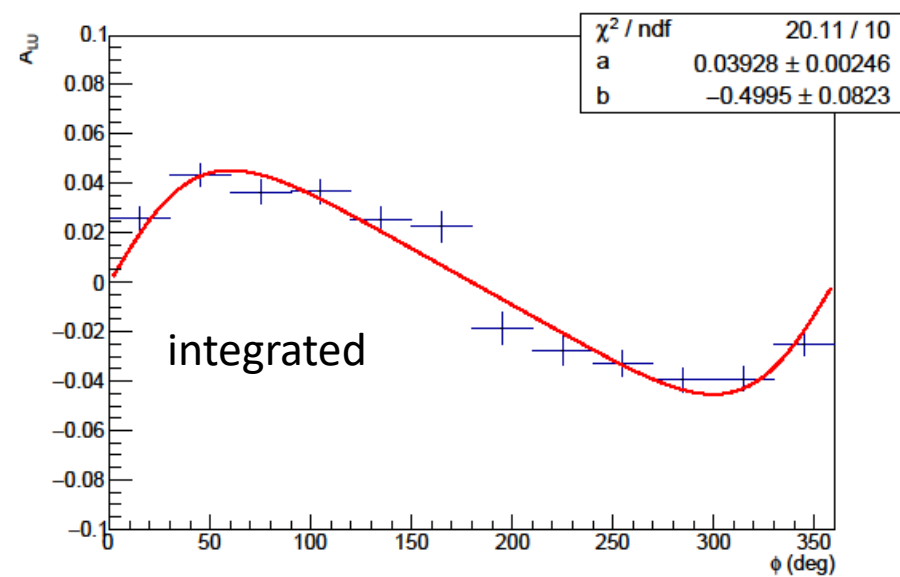
$\theta(\gamma, X)$



BSA: enPi0



BSA: epPi0



π^0 subtraction

- Last time: subtraction of π^0 background by statistically unfolding contributions to the missing mass spectrum
- Ongoing work: subtraction using the standard Hall B method using simulations of the background channel
- Description of the method:
 - Estimate the ratio of partially reconstructed $ep\pi^0(1 \text{ photon})$ decay to fully reconstructed $ep\pi^0$ decays in MC
 - this ratio is equal to that in data
 - Do this in each bin: All acceptance differences and MC/data discrepancies cancel in the ratio
 - Multiply this ratio by the number of reconstructed $ep\pi^0$ in data to get the number of $ep\pi^0(1 \text{ photon})$ in data
 - Subtract this number from pDVCS reconstructed decays in data per 4D kinematical bin

In MC

$$R = N(ep\pi_{1\gamma}^0)/N(ep\pi^0)$$

In data In data

$$N(ep\pi_{1\gamma}^0) = R * N(ep\pi^0)$$

In data In data In data

$$N(DVCS) = N(DVCS_{recon}) - N(ep\pi_{1\gamma}^0)$$

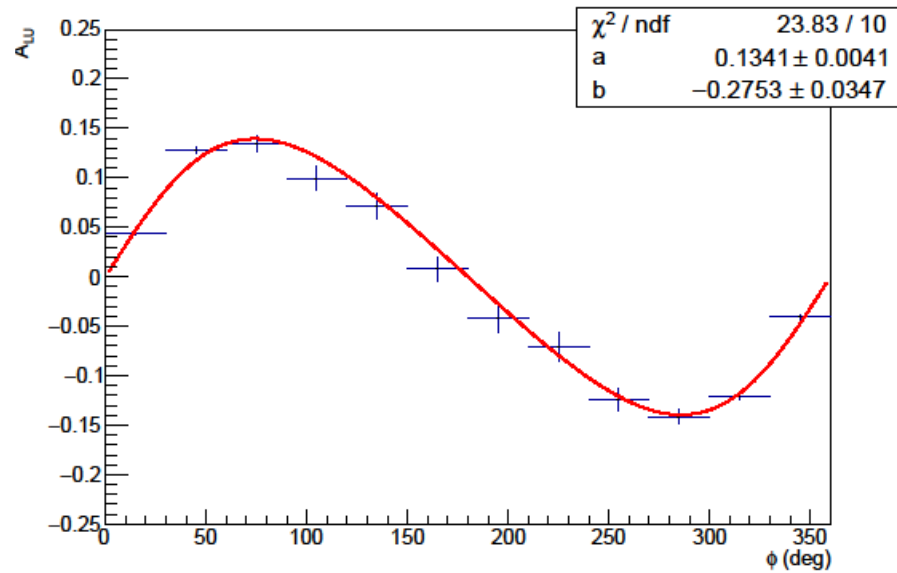
Summary

- Promising results from DVCS on proton and neutron from RGB data
- Analysis is progressing, what is missing:
- Evaluate and suppress proton contamination in neutron sample: ML based approach is under study
- Corrections to final states momenta
- Cross-check different background subtraction methods to assess possible differences

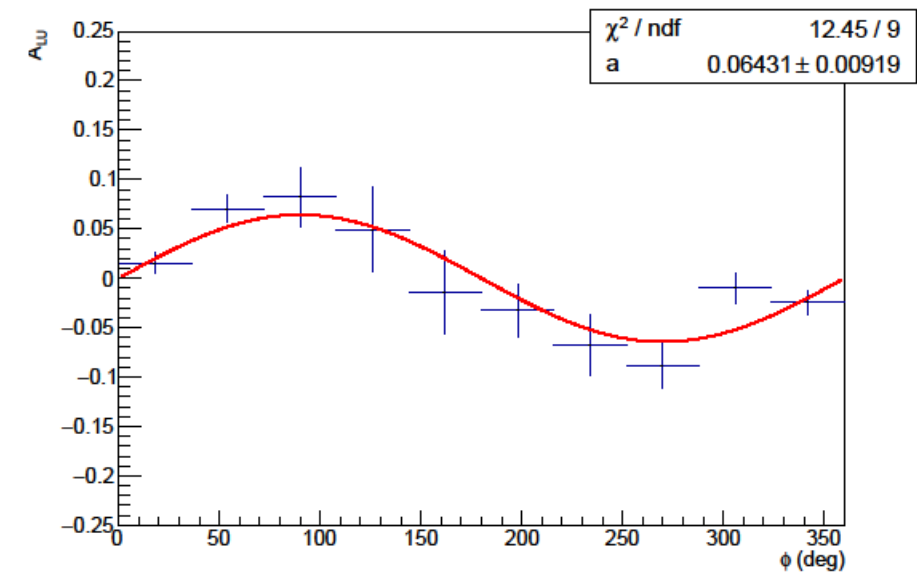
backup

BSA after background subtraction: all topos integrated

pDVCS after background subtraction

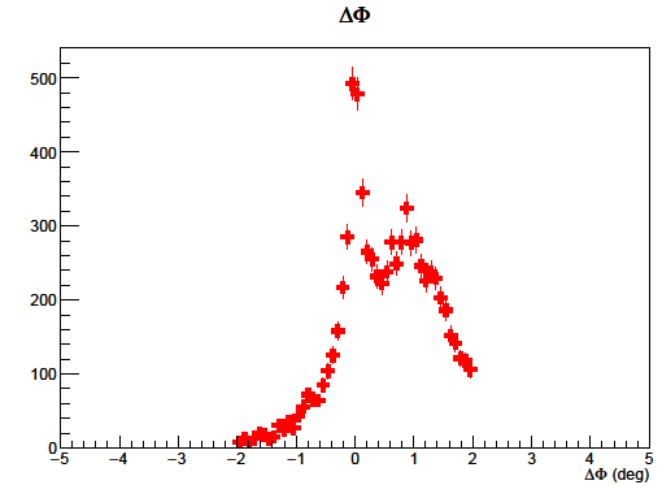


nDVCS after background subtraction

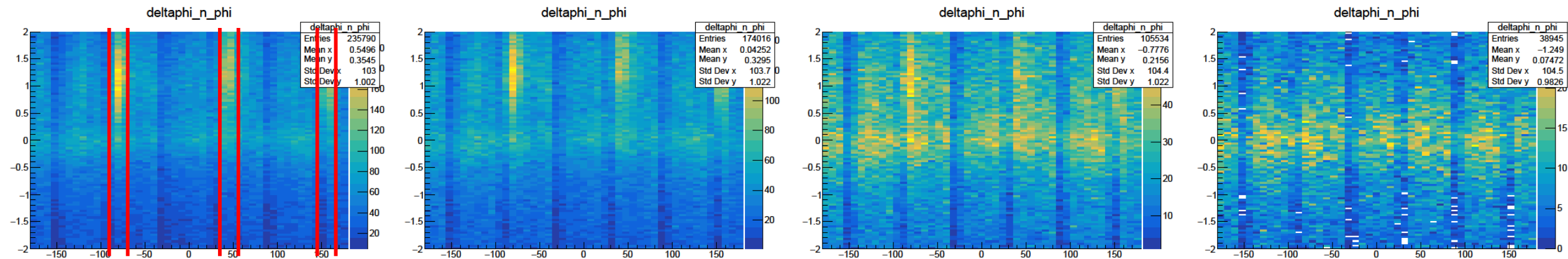


On proton contamination in neutron sample

- Could be clearly observed in the distribution of Delta Phi (both in MC & data)
- Phi is wrongly evaluated when the neutron is actually a proton
- A second bump in the distribution of delta Phi appears
- This is extensively under investigation by Paul Naidoo



Tightening the cut on the cone angle between the reconstructed and missing neutron



2D plot of neutron phi vs delta phi