

The $NN \rightarrow d \pi^0$ reaction: secondary scattering at CLAS

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Motivation

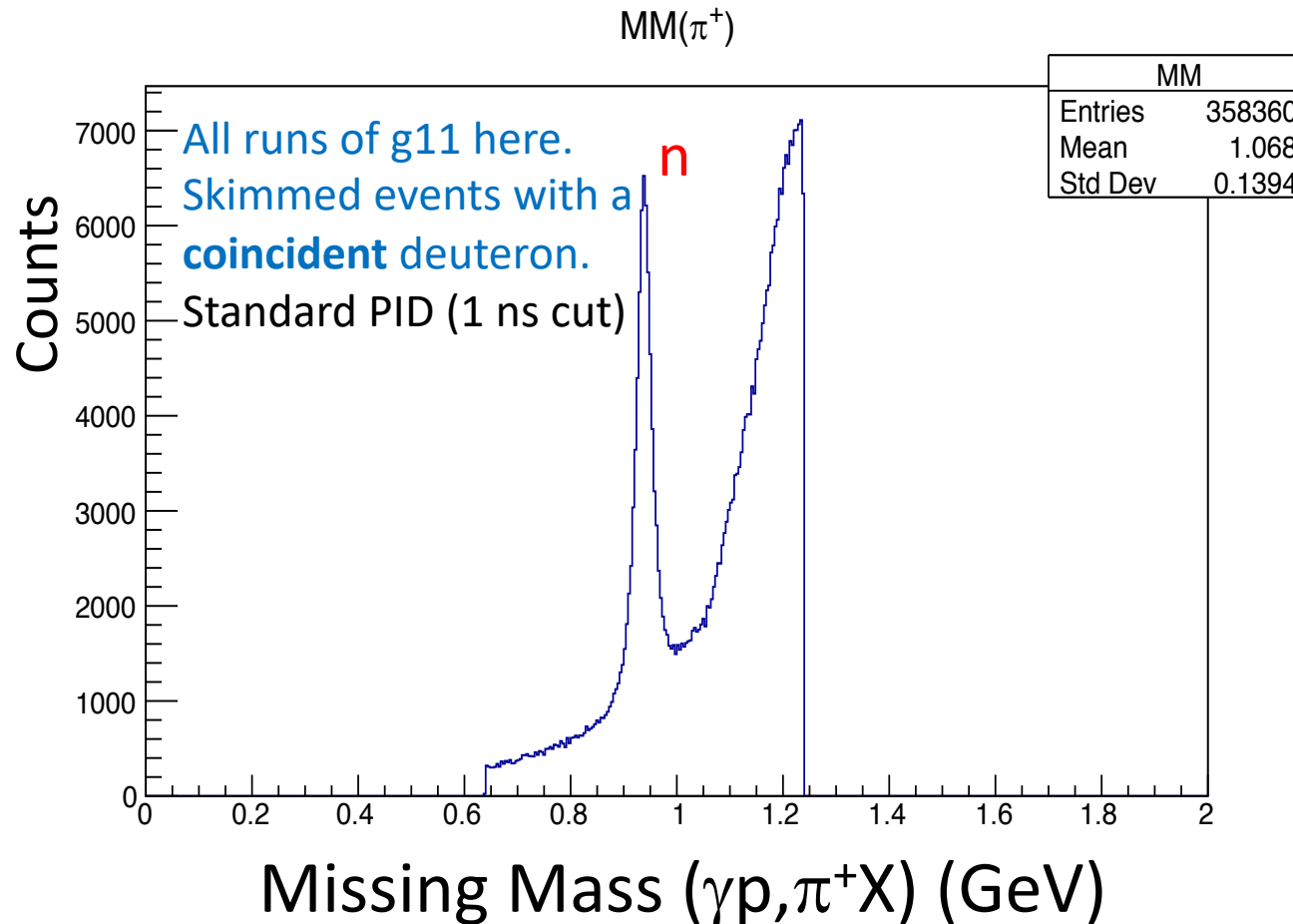
- We want to demonstrate that **secondary-scattering reactions are possible** to measure with CLAS
 - Some new hadronic reactions could be measured (such as Λ -p scattering).
 - To demonstrate it, we need to show we can **reproduce a known reaction**.
- Additionally, neutron reactions are hard to measure
 - There are **few existing data for the $np \rightarrow d \pi^0$** reaction.
 - There is existing data on $pp \rightarrow d \pi^+$, for validation of the technique.
- **Physics goal**: evidence for a **N- Δ resonance (d^* , $I=1$)** at $M=2140$ MeV.
 - This d^* resonance is also seen in photoproduction $\gamma d \rightarrow \pi^+ \pi^- d$. (T. Chetry)

What do we measure

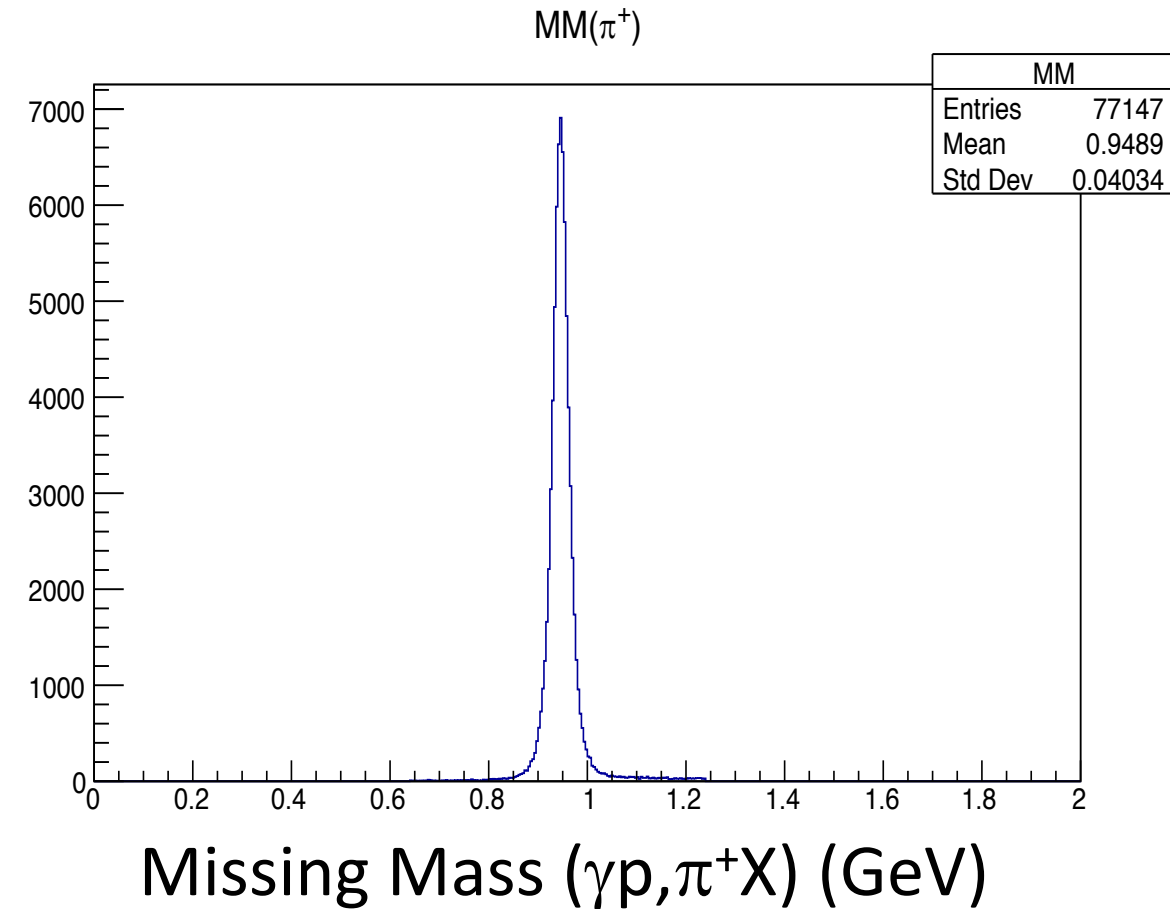
- Incident beam/target: g11 has GeV photons on 40-cm LH2 target
- Detected particles: coincidence of π^+ and deuteron.
 - At first, this sounds ridiculous: $\gamma p \rightarrow d \pi^+$ violates: baryon #, charge conserv.
- Two-step process:
 - Step 1: produce a neutron: $\gamma p \rightarrow \pi^+ n$
 - Step 2: neutron rescatters: $np \rightarrow d \pi^0$
- Do this with missing masses:
 - Step 1: neutron 4-vector from $MM(\gamma p, \pi^+ X)$ for $X = \text{neutron mass}$.
 - Step 2: π^0 4-vector from $MM(np, dX)$ for $X = \text{pion mass}$.

Step 1: Missing mass of $\gamma p \rightarrow \pi^+ n$.

G11 data: lots of background!



MC using N.Z.'s event generator

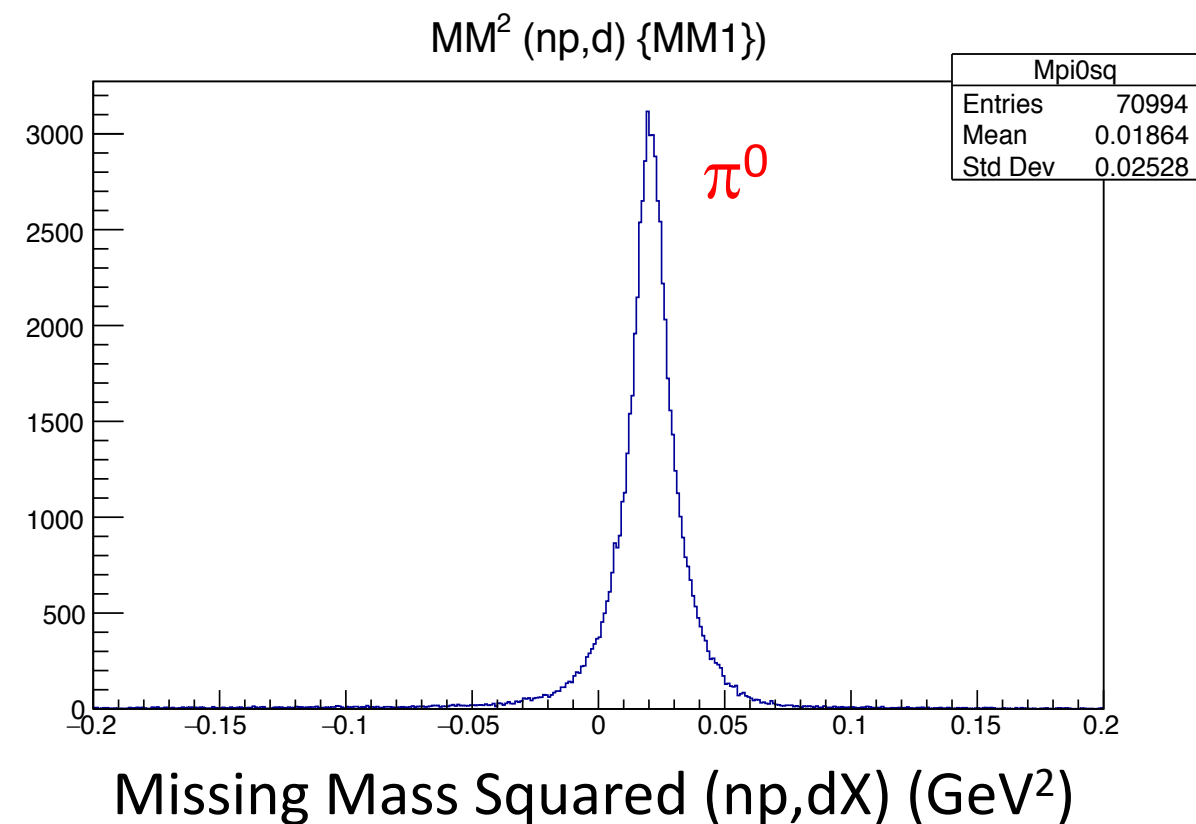
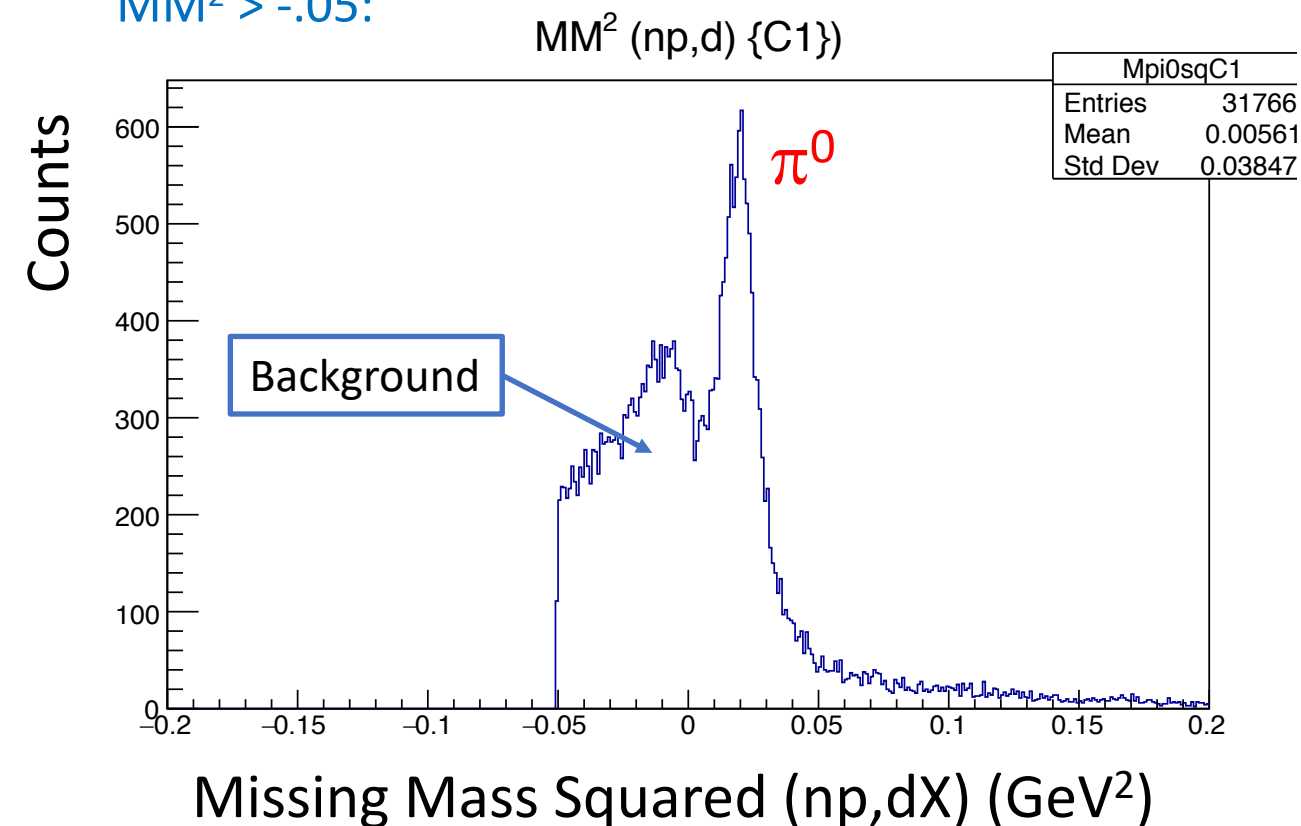


Step 2: Missing mass of $np \rightarrow d \pi^0$.

Cut on the
Neutron &
 $MM^2 > -.05$:

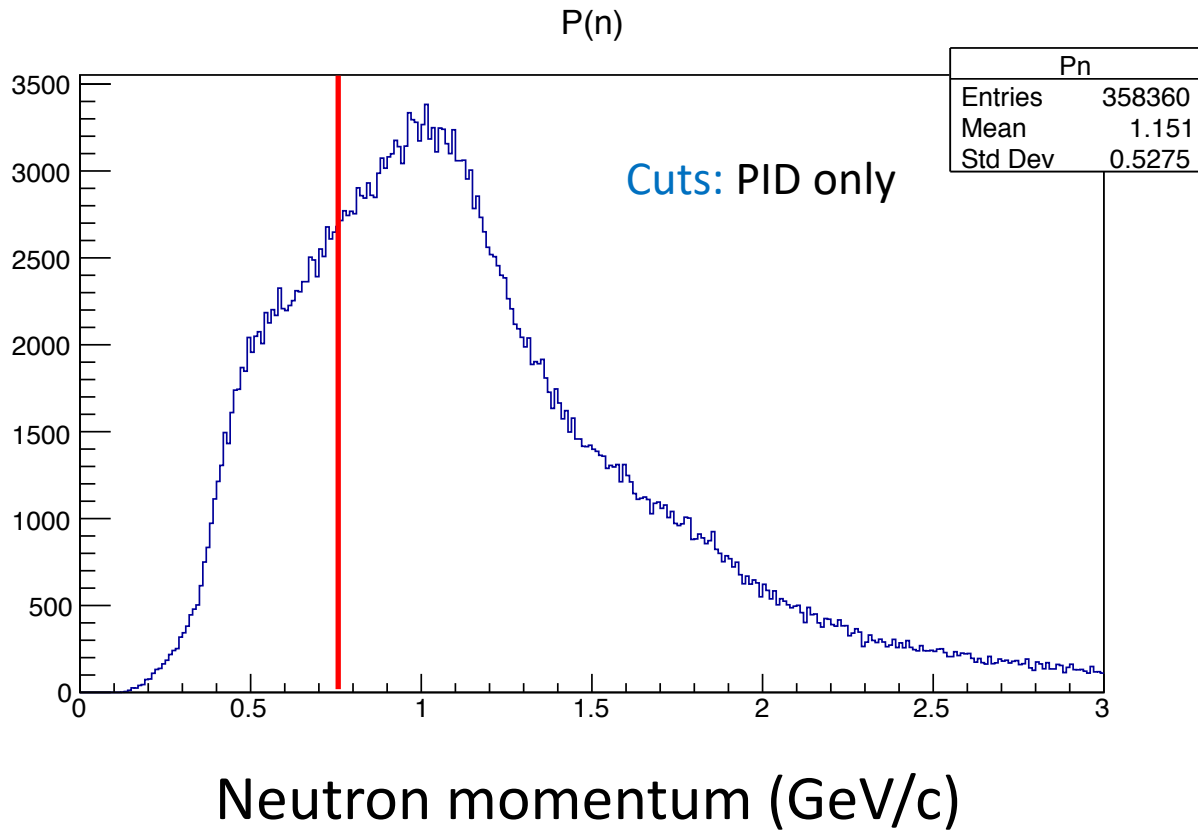
G11 data: lots of background!

MC using N.Z.'s event generator

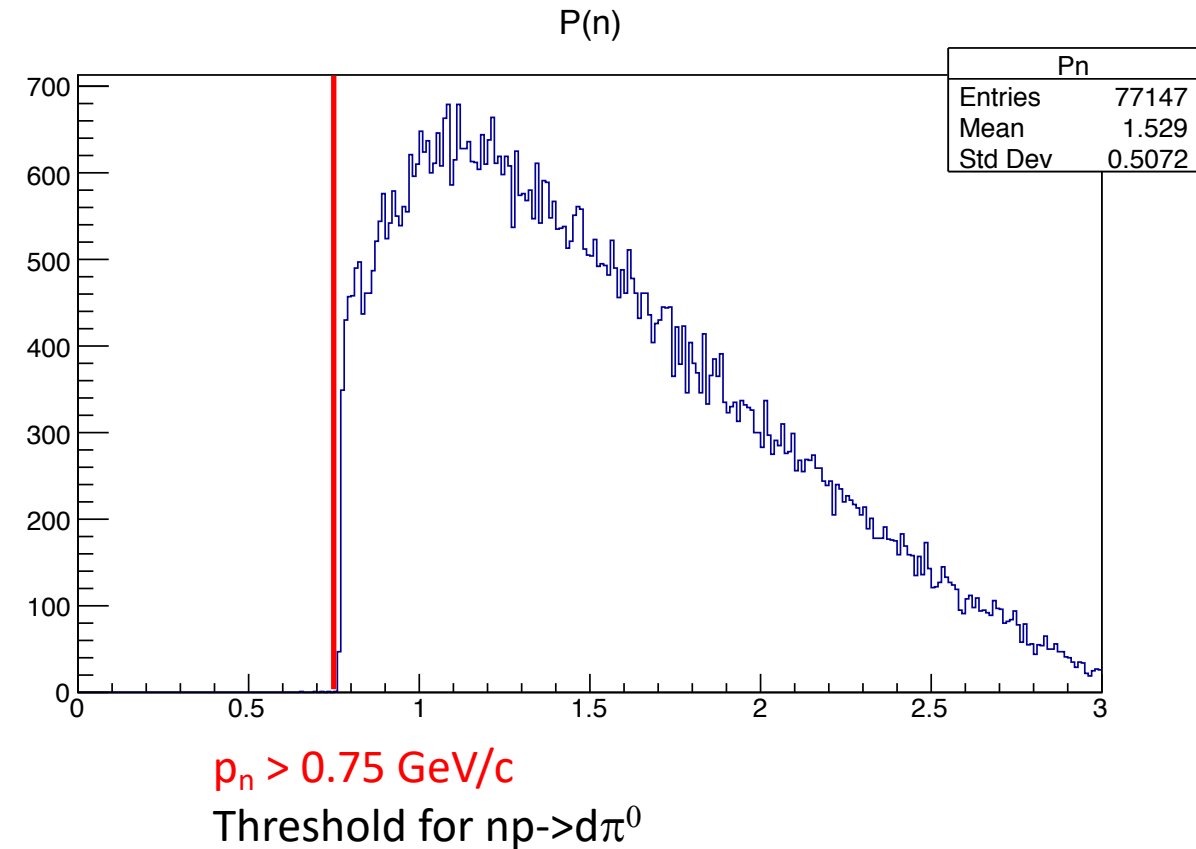


Kinematic threshold cut added

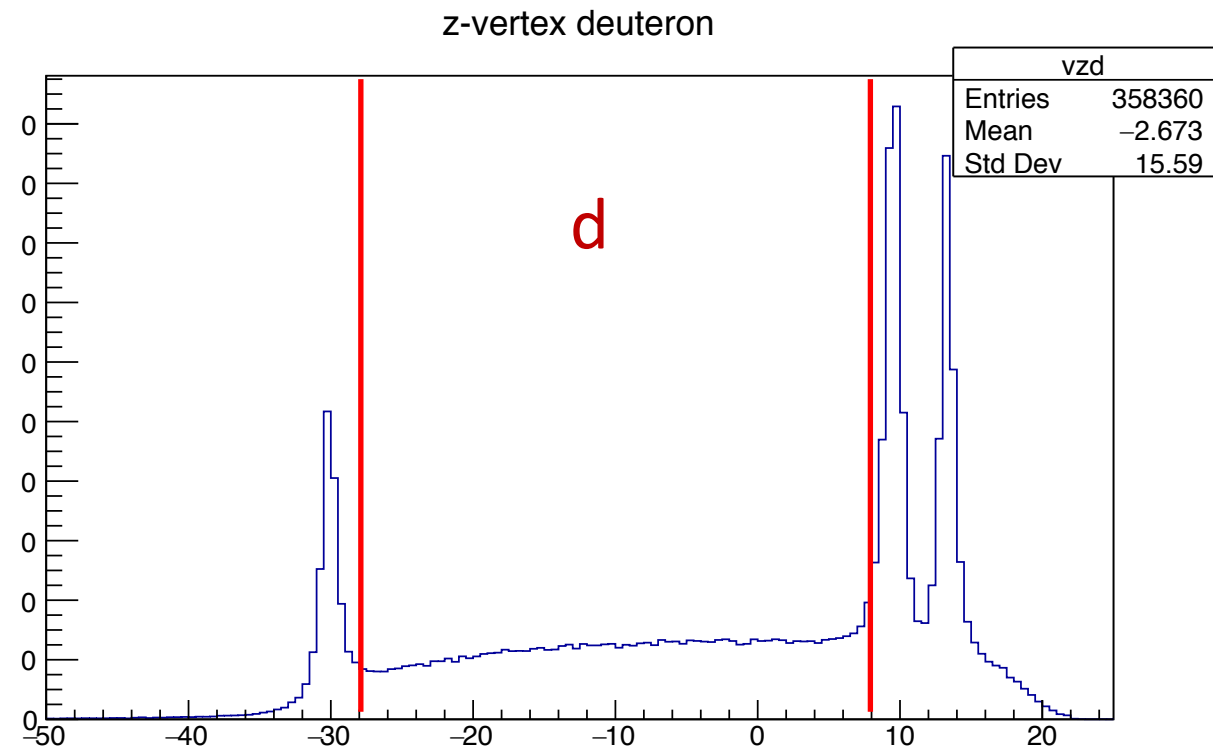
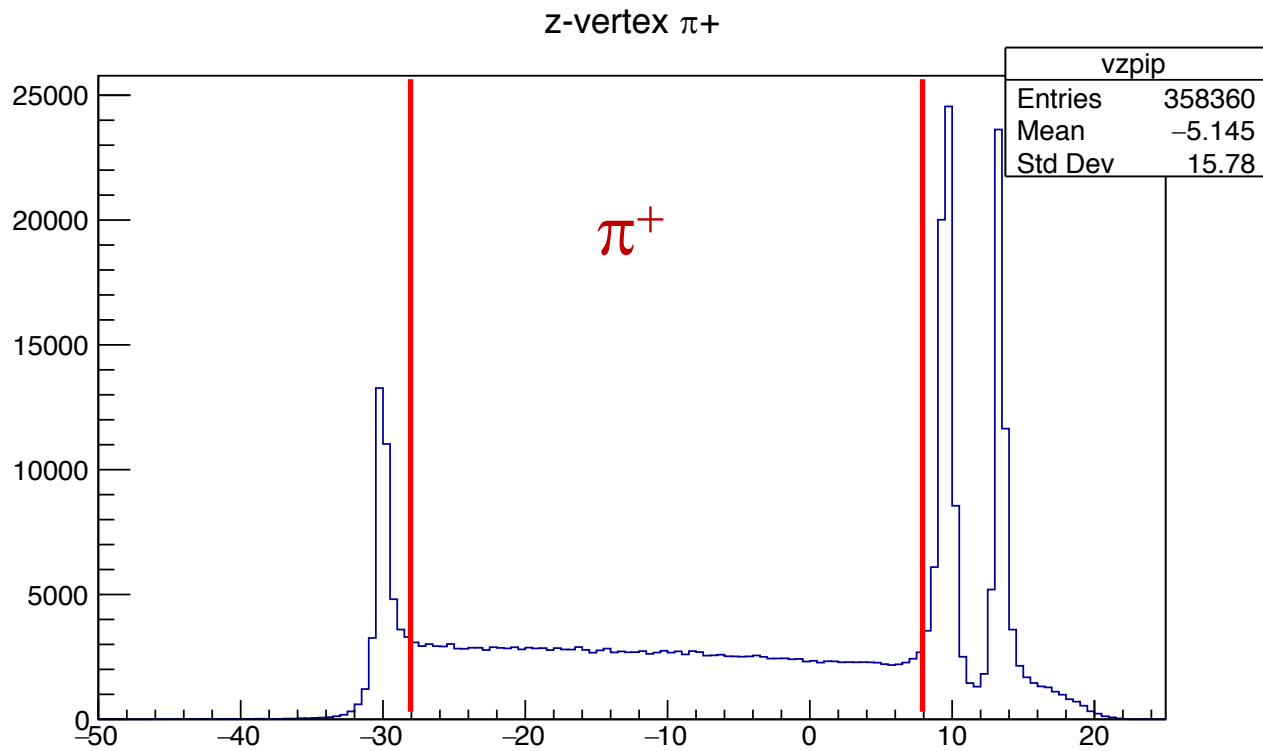
G11 data: lots of background!



MC using N.Z.'s event generator



Z-vertex cuts added: both detected particles



Summary of cut level 1:

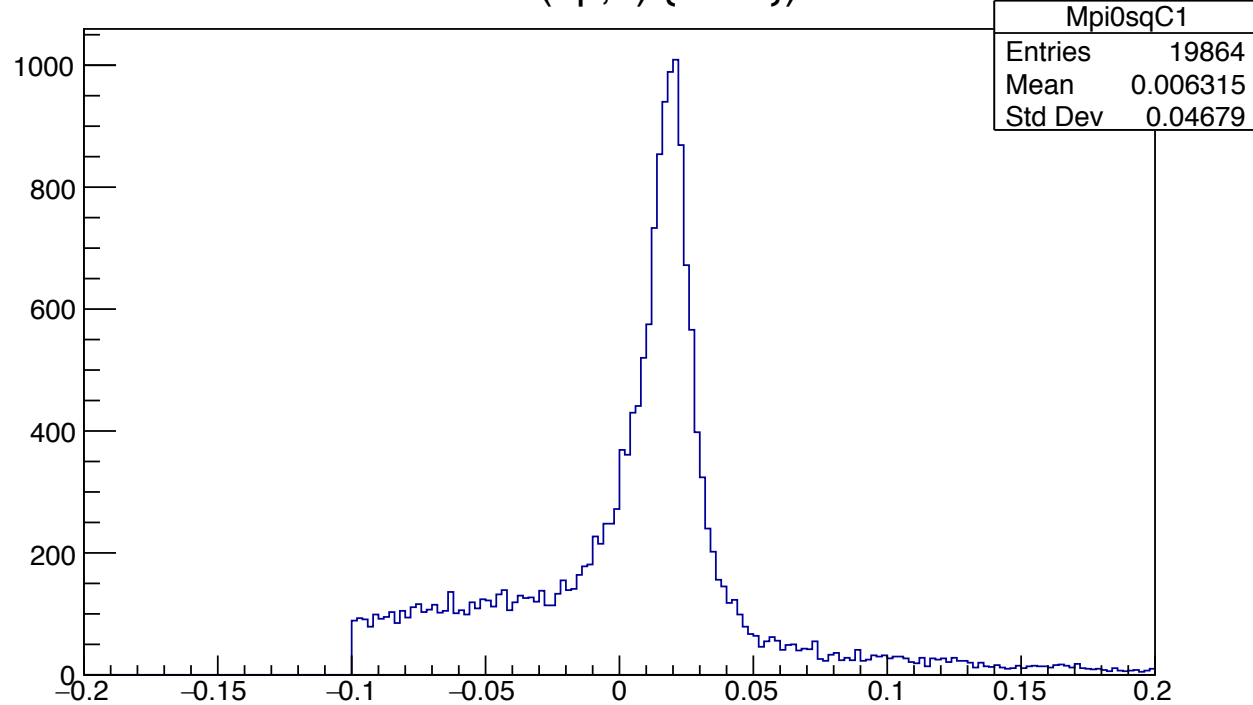
- $MM^2(np,dX) > -0.1 \text{ GeV}^2$ = physical threshold (and a bit below)
- $\text{abs}(MM(\gamma p, \pi^+ X) - M_n) < 0.06$ = neutron peak
- $\text{abs}(z\text{-vertex} - \text{center}) < 18 \text{ (cm)}$ = target cut (both particles)
- $n\text{-momentum} > 0.75 \text{ GeV}/c$ = threshold for $(np, d\pi^0)$

All of the next plots shown are with cut level 1.

After cut level 1:

g11: less background!

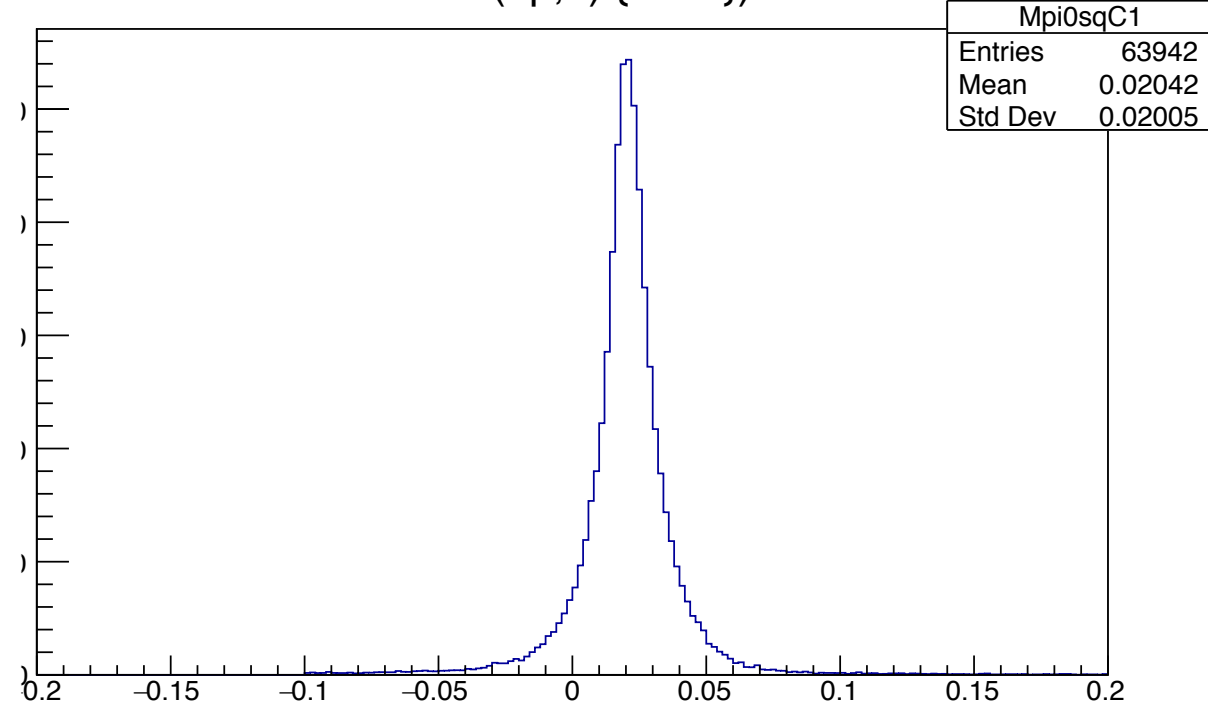
MM^2 (np,d) {MM1}



Missing Mass Squared (np,dX) (GeV²)

MC: ~17% loss of events

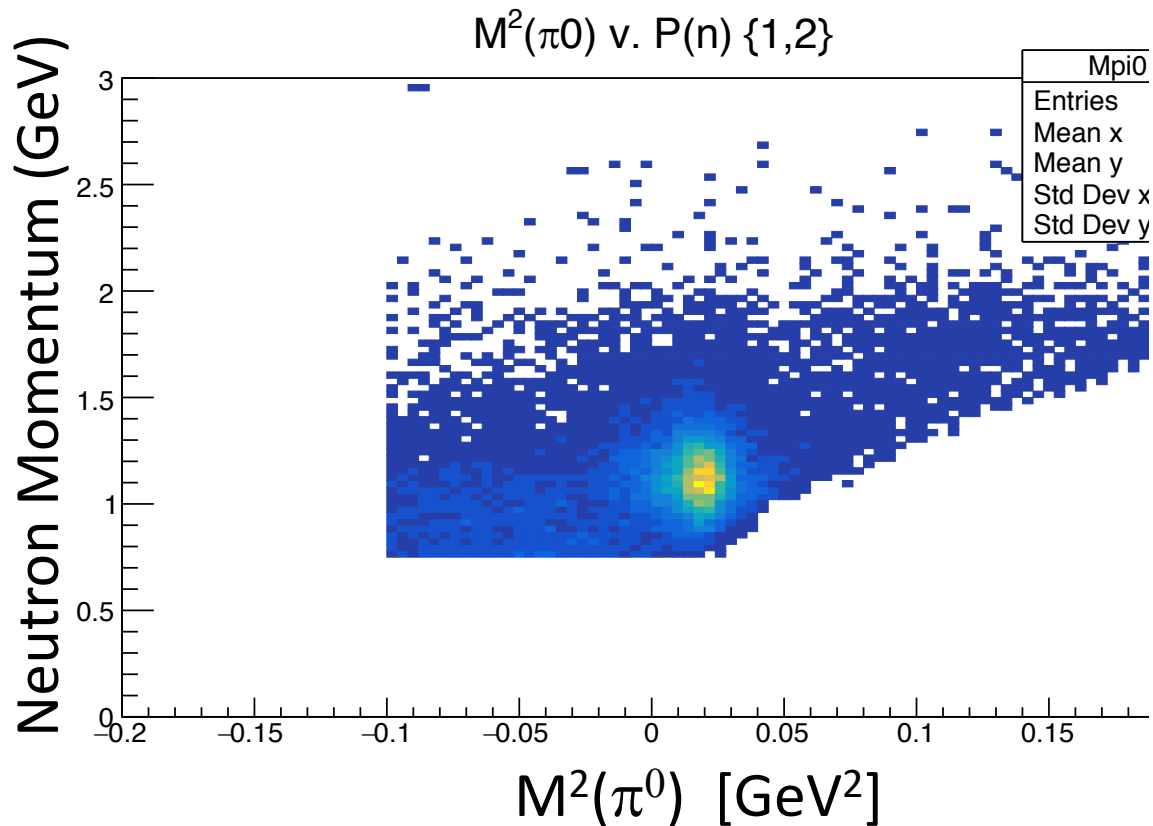
MM^2 (np,d) {MM1}



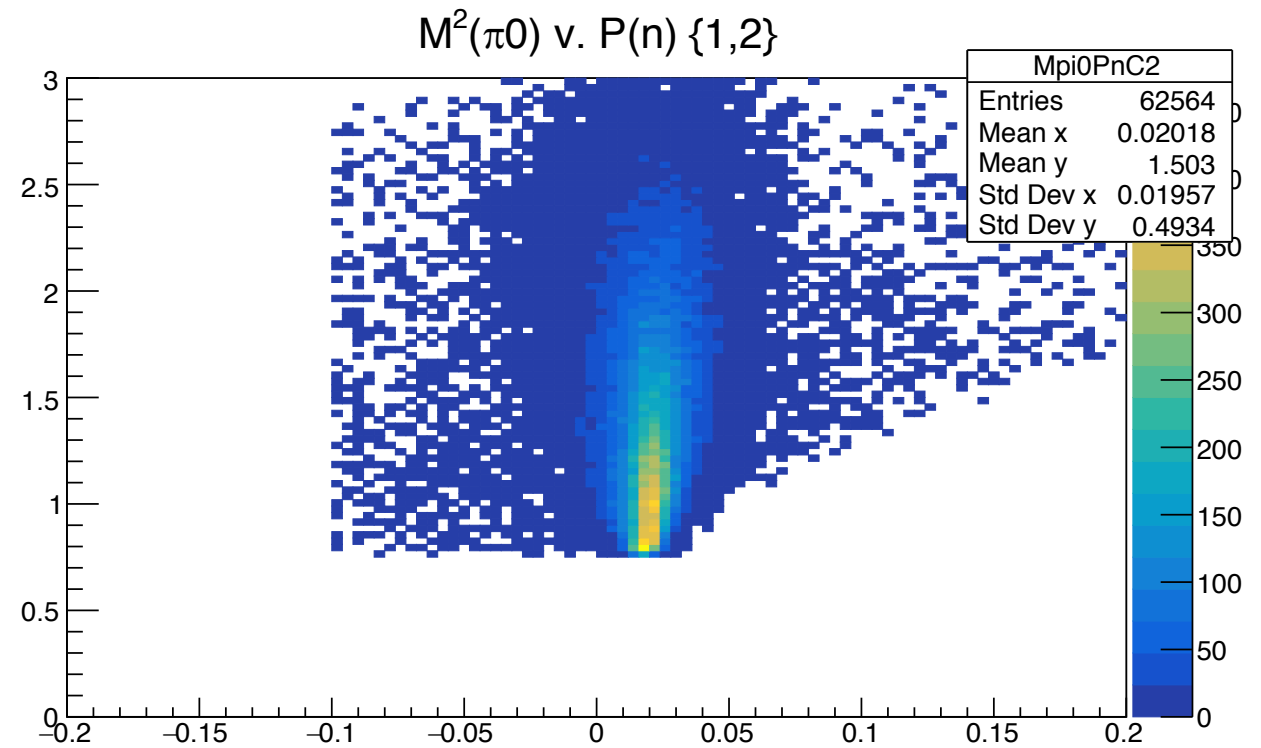
Missing Mass Squared (np,dX) (GeV²)

2D correlation: π^0 -peak vs. n-momentum

g11: P_n -dependence shows resonance!

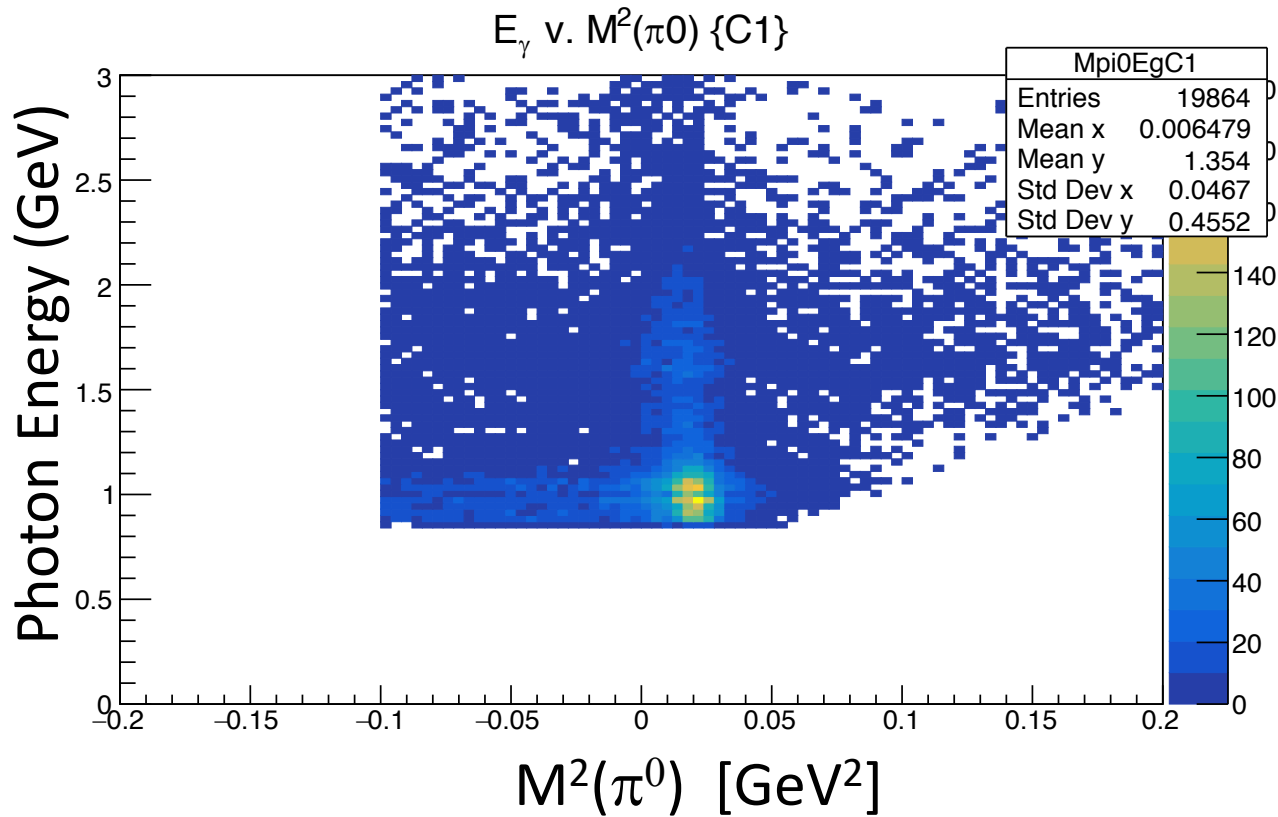


MC: (phase space) x (acceptance)

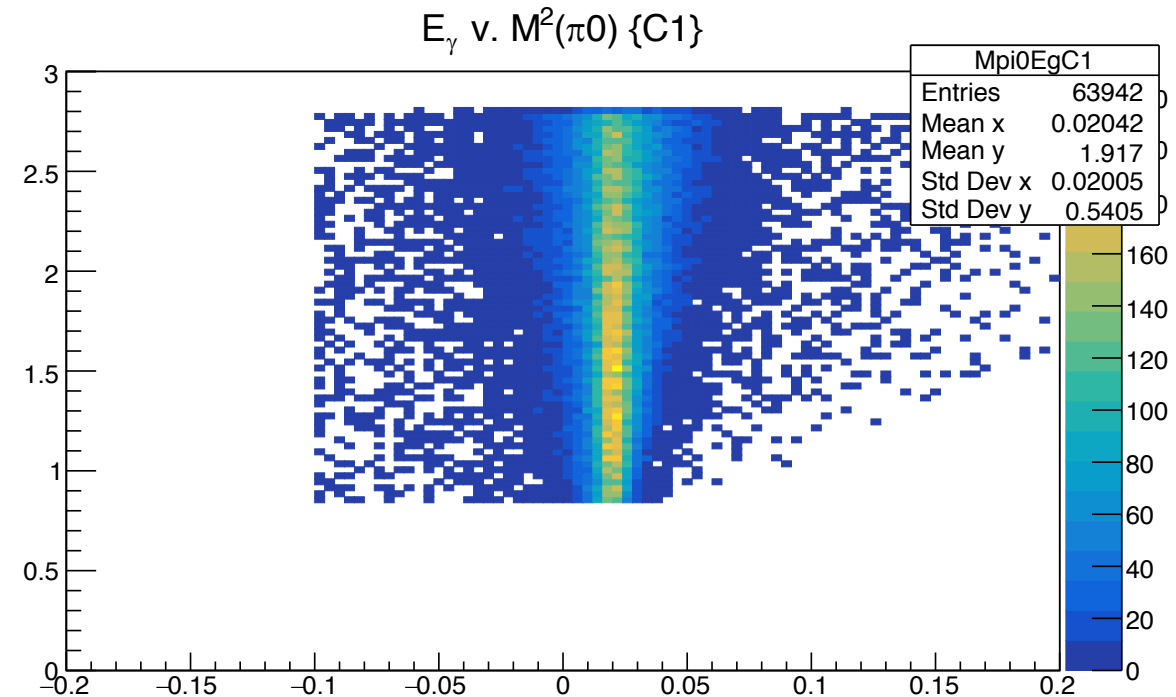


2D correlation: π^0 -peak vs. E_γ

g11: limited to low E_γ

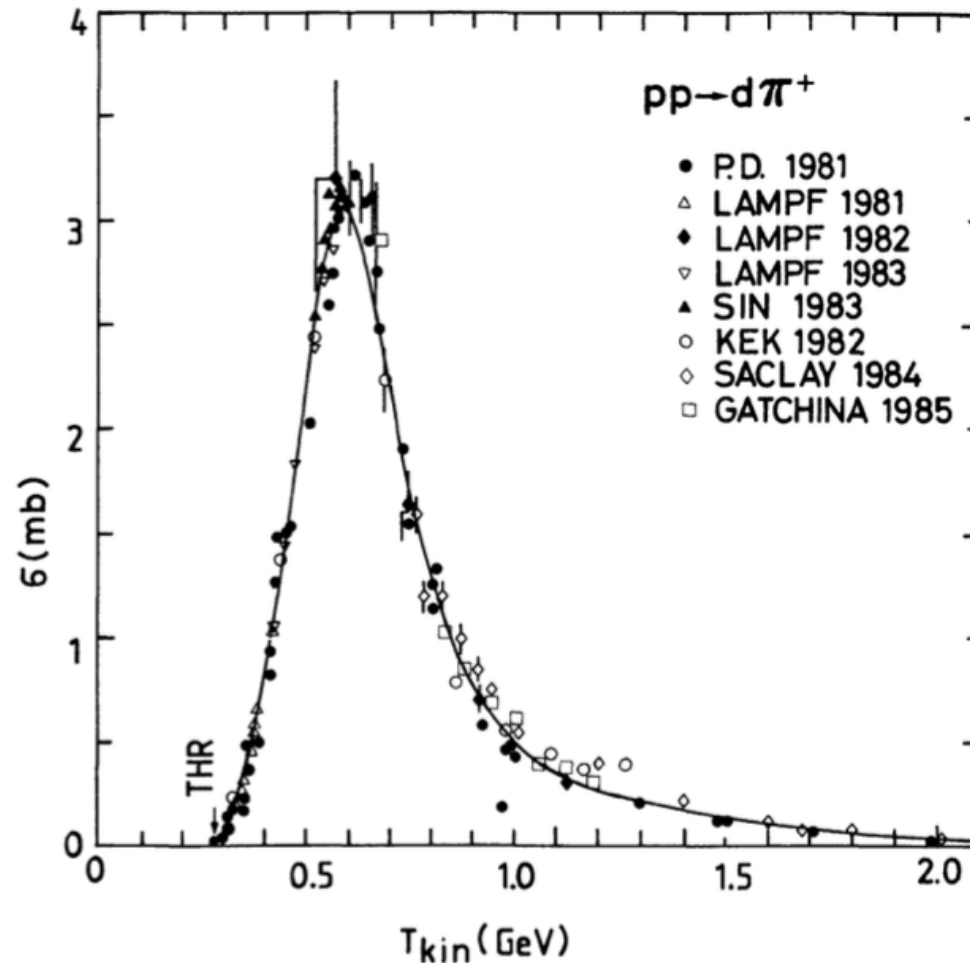


MC: (phase space) x (acceptance)



Previous data: $pp \rightarrow d \pi^+$

Plot from: J. Bystricky et al., J. Physique 48 (1987) 1901.



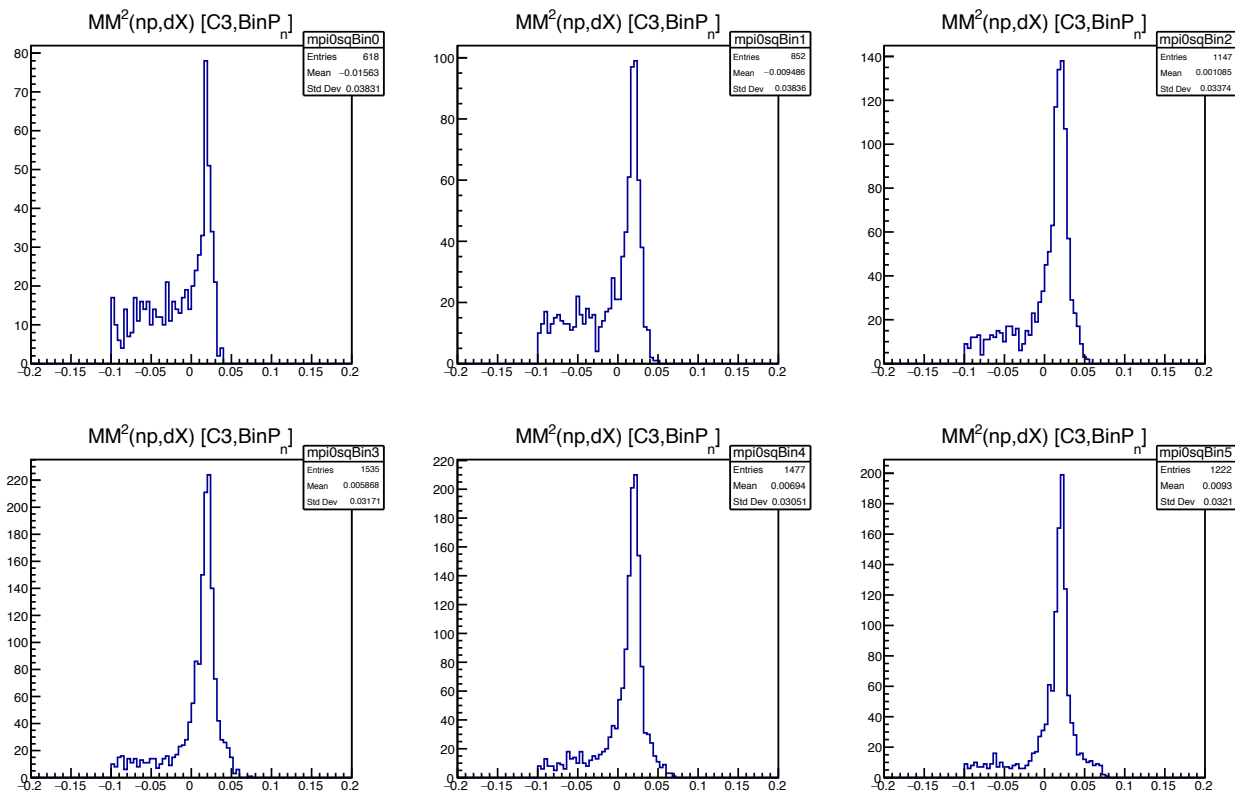
Data from a variety of facilities, shown by the legend.

Peak at $T_{\text{kin}} = 0.55$ GeV
Convert to $W = 2.137$ GeV

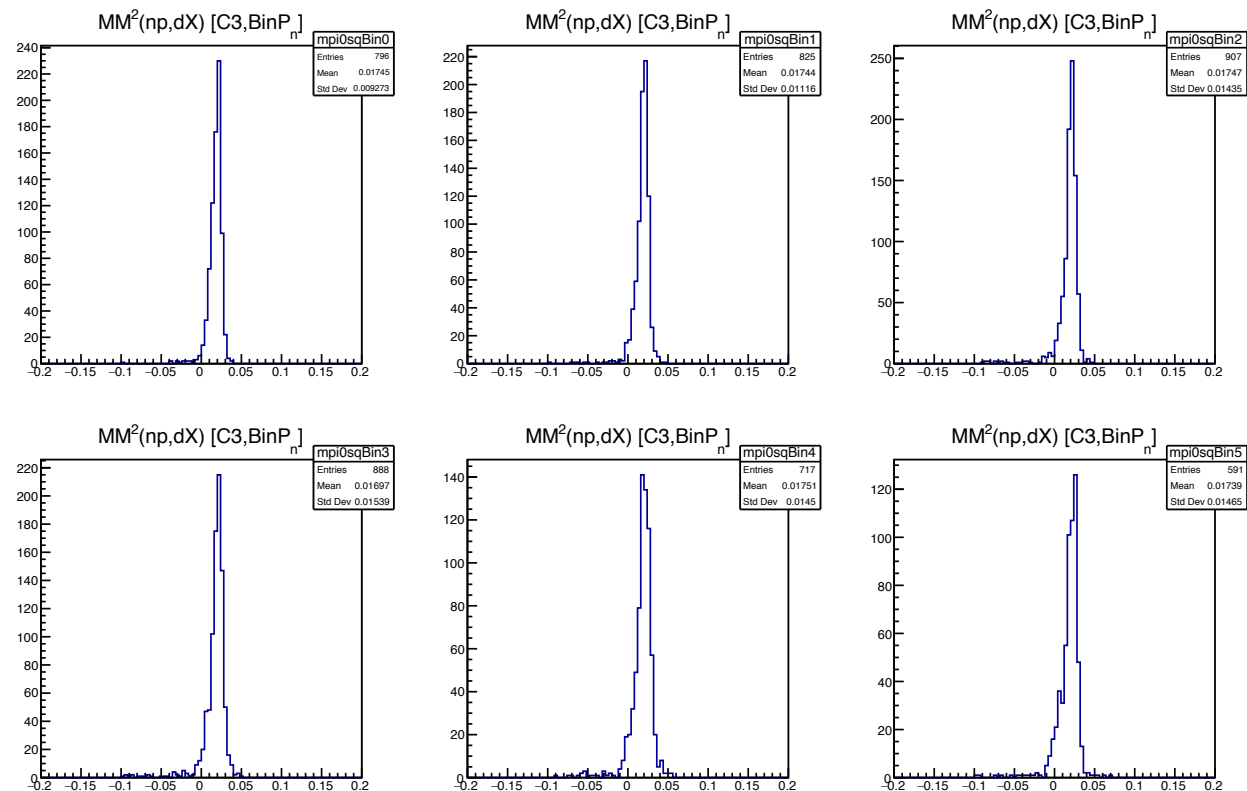
Full width (W) = 100 MeV

Binning in p_n : 0.90-0.95, 0.95-1.00, etc.

G11: peak yield (Counts)



MC: after GSIM (acceptance)



Missing Mass Squared (np,dX) (GeV²)

Neutron Luminosity

$$L_n = (\# \text{ n's}) (\text{ target number density}) (\text{ average n-pathlength })$$

where:

$(\# \text{ n's}) = (L_\gamma) (\text{ average integrated cross section })$

target density = $4.26 \times 10^{22} / \text{cm}^2$ (as before)

average n-pathlength = from generator (for given bin)

Note: A CLAS Note is in preparation to explain the details.

Table of values to get cross section

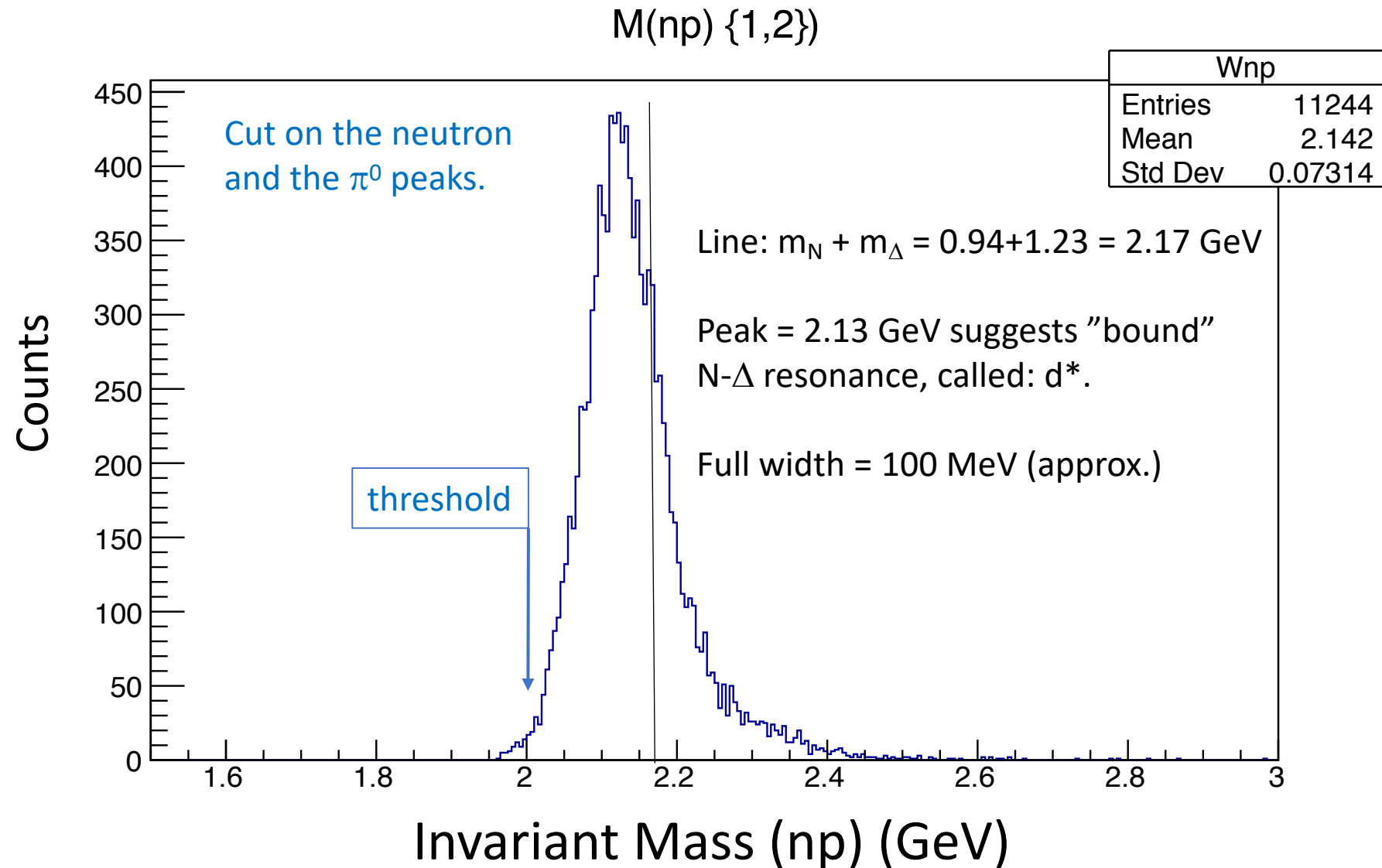
N-momentum	Yield	Acceptance	Luminosity(n) x e29	Cross section (mb)
0.90 – 0.95	35	0.269	3.38	1.01
0.95 – 1.00	65	0.306	4.04	1.37
1.00 – 1.05	94	0.294	4.93	1.69
1.05 – 1.10	130	0.288	5.94	1.98
1.10 – 1.15	120	0.268	7.03	1.66
1.15 – 1.20	106	0.178	8.97	1.73

$$\sigma = \text{Yield}/(\text{Accep.})(\text{Lumin.})(\text{effic.})$$

where effic. = (trigger factor)(trigger efficiency) = (0.467)(0.82)

Uncertainties: (~10-20% error bars)

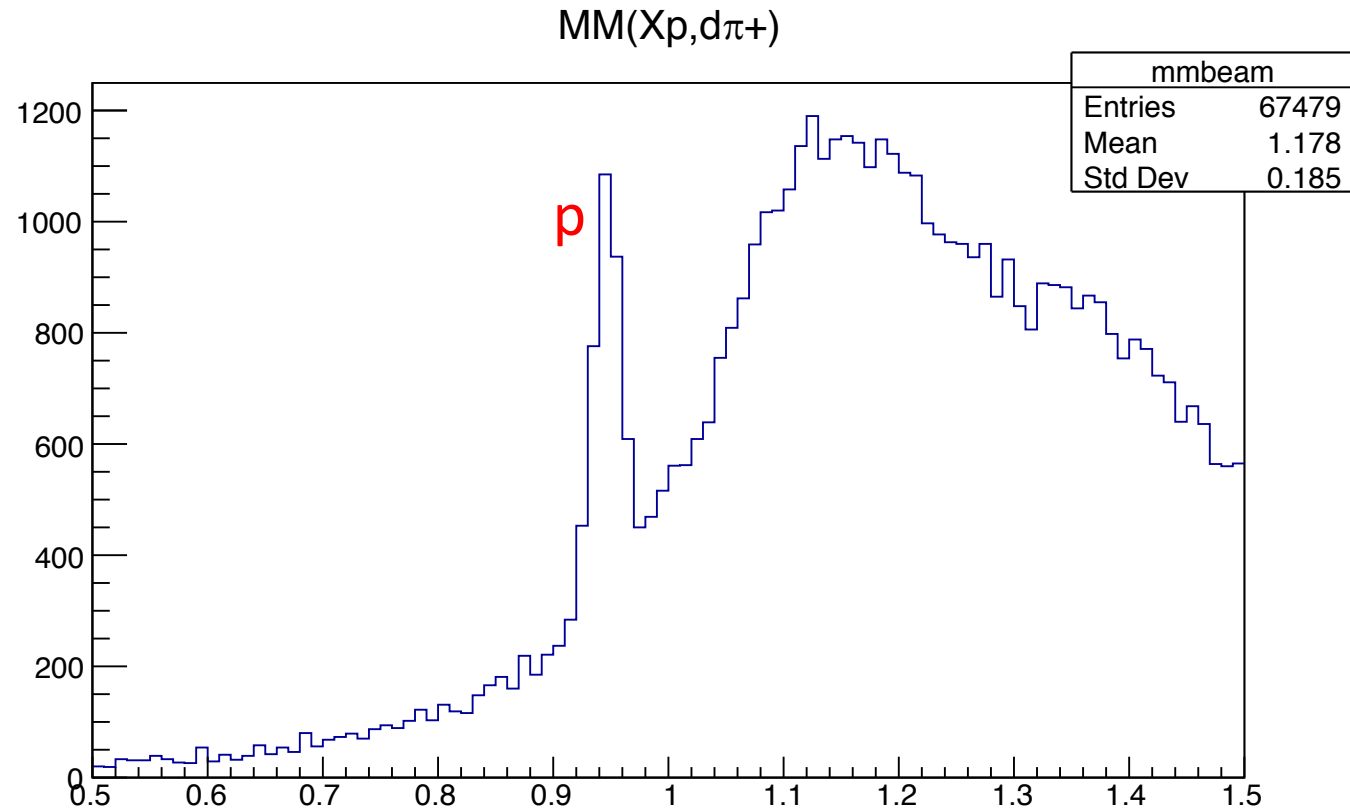
W-dependence: strong resonance shape



Proton-proton scattering at CLAS

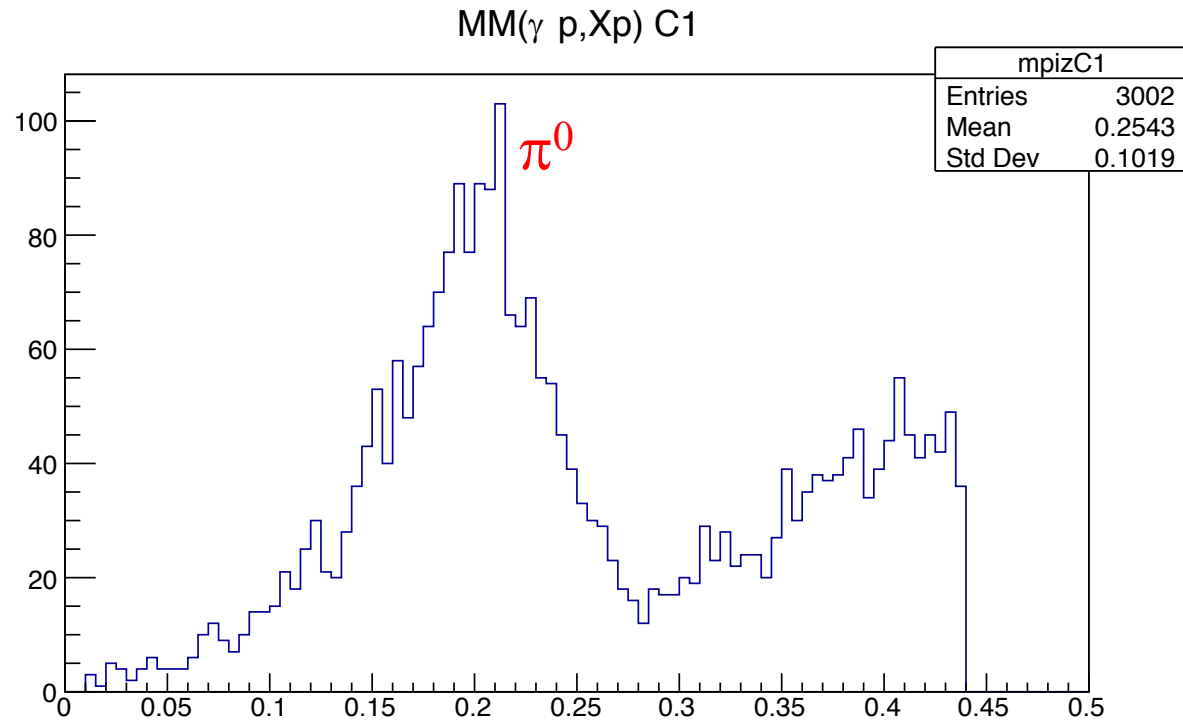
- Two-step process:
 - Step 1: produce a neutron: $\gamma p \rightarrow \pi^0 p$
 - Step 2: neutron re-scatters: $pp \rightarrow d \pi^+$
- Do this with missing masses (reverse order):
 - Step 2: proton 4-vector from $MM(Xp, d\pi^+)$ for $X=\text{proton mass}$.
 - Step 1: pion 4-vector from $MM(\gamma p, pX)$ for $X = \text{pion mass}$.
- Note: this can be extracted from the same skim
 - detect charged particles: d, π^+ only (plus tagged γ)

Now look for $Xp \rightarrow d\pi^+$ ($X=p$)

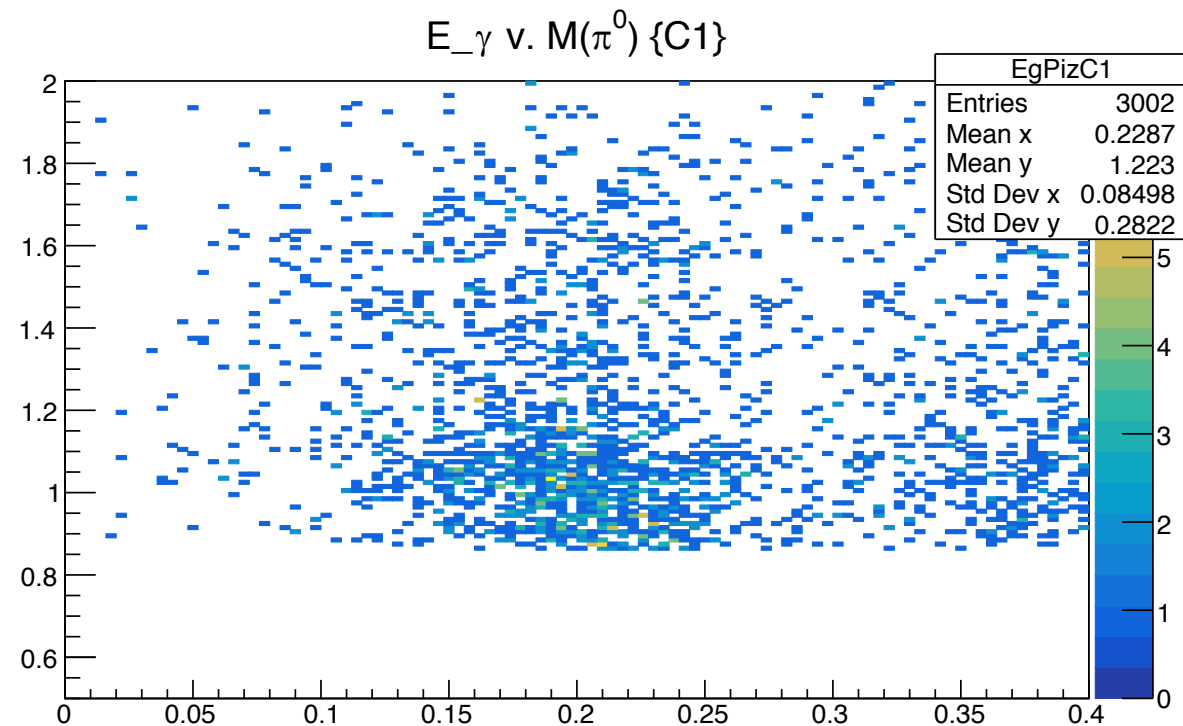


Clear peak at the proton mass. Lots of background, some goes away with z-vertex cuts (remove target ends).

Cut on proton: look for π^0 in Missing Mass



Pion mass comes out high (fix with Eloss?).



Most of the events in range of $E_\gamma = 0.9-1.1$ GeV

Table to get cross sections:

N-momentum	Yield	Acceptance	Luminosity(n) x e29	Cross section (mb)
1.05 – 1.10 (n)	130	0.288	5.94	1.98 (np → dπ ⁰)
1.05 – 1.10 (p)	~90	0.219	4.92	~2.2 (pp → dπ ⁺)

$$\sigma = \text{Yield}/(\text{Accep.})(\text{Lumin.})(\text{effic.})$$

where effic. = (trigger factor)(trigger efficiency) = (0.467)(0.82)

Note: for np scattering, single-sector events are negligible.

For pp scattering, need correction for single-sector events.

Summary

- We have demonstrated that $np \rightarrow d\pi^0$ can be seen at CLAS.
 - This can establish the validity of the secondary scattering technique.
 - Also validated by $pp \rightarrow d\pi^+$ in the same data skim.
- There are $\sim 10,000$ events for $np \rightarrow d\pi^0$ over a range of W .
 - This is sufficient to show a resonance near the $N\text{-}\Delta$ mass.
 - Probably enough events to get angular distributions.
- We expect to finalize the analysis soon.
 - A full analysis note will be ready about summer 2021.

Backup slides

Isospin Invariance

- The reaction $pp \rightarrow d \pi^+$ is isospin $I=1, I_3 = +1$.
 - This would be the same as $nn \rightarrow d \pi^-$, which we can't measure.
- Now, using Clebsch-Gordon coefficients:
 - Matrix elements: $\langle d \pi^- | M | nn \rangle = \sqrt{2} \langle d \pi^0 | M | np \rangle$.
 - **If no resonances:** cross sections $\sigma_{pp \rightarrow d \pi^+} = 2 (\sigma_{np \rightarrow d \pi^0})$.
- We can use “world data” to validate our “secondary scattering” measurements at CLAS.