

The nuclear EMC Effect as a Testing Ground for Color Forces

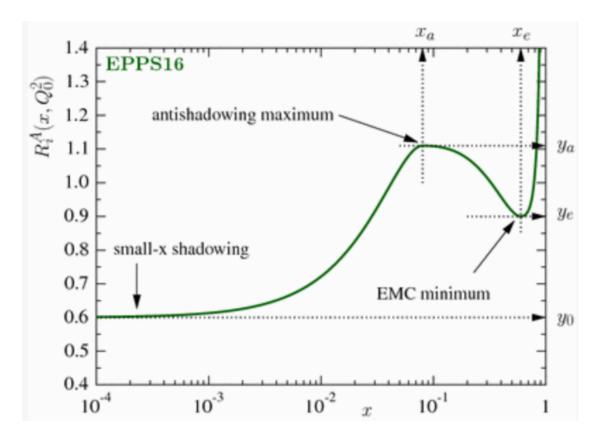
Quantitative Challenges in EMC and SRC Research LNS/MIT and EIC²/Jlab March 22-26, 2021

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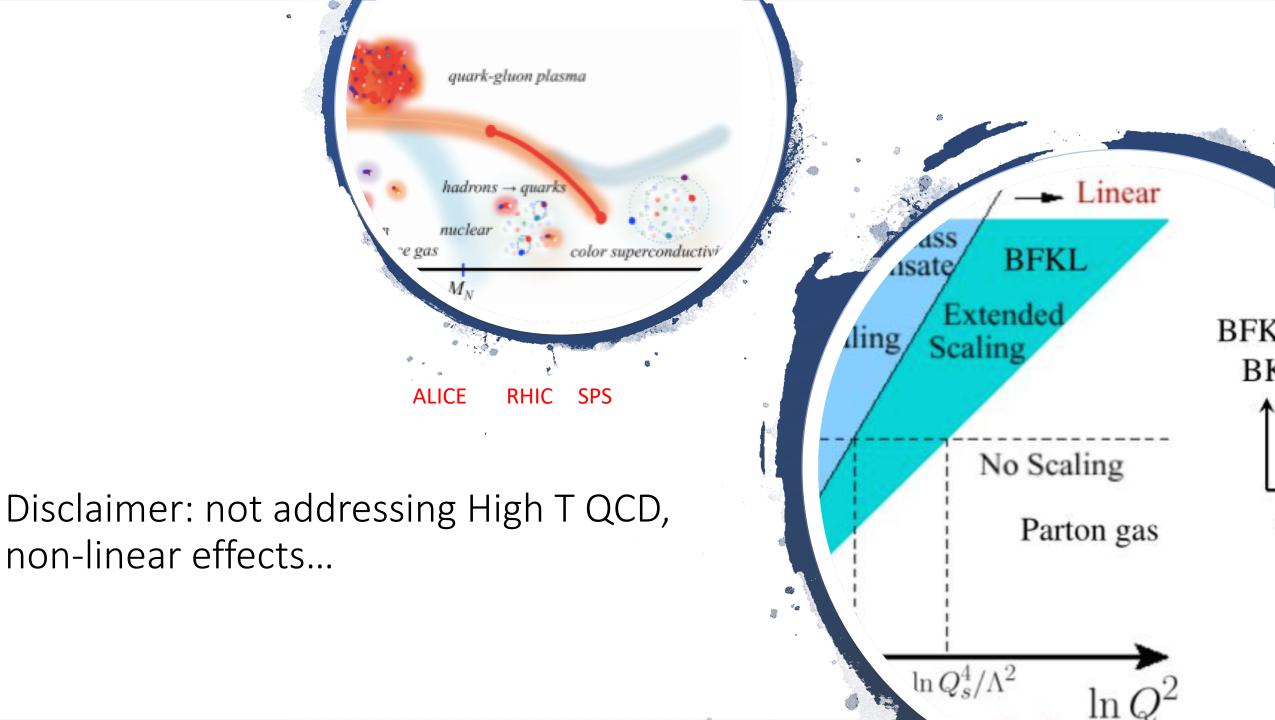
Stille crazy aftergalhthese dyears les is bringing to the forefront the QCD-lead signon re of nuclei...



EMC Effect

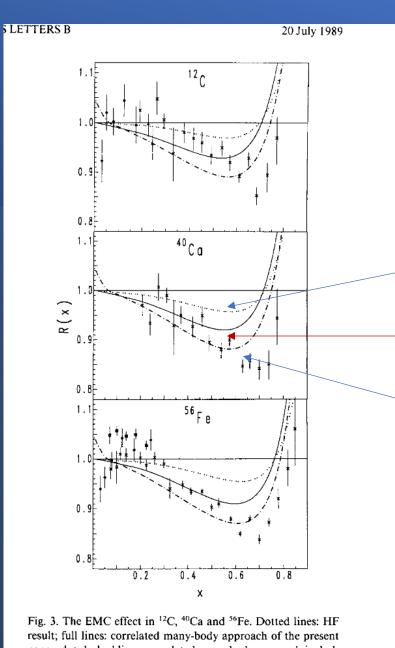


K. Eskola (2017)



Role of Nuclear Binding and SRC

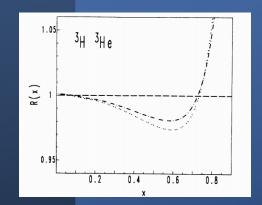
Ciofi, SL, *PLB 225* (1989) Ciofi, SL, *Phys.Rev.C* 41 (1990) Ciofi, SL, Simula, *Phys.Rev.C* 41 (1990) Ciofi, *Phys.Rept.* 590 (2015) Ciofi, Morita, *Phys.Rev.C* 96 (2017)



Independent Particle Model

SRC using Rome group spectral function

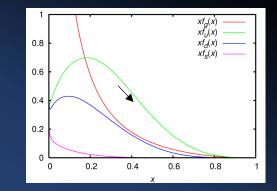
additional Q² rescaling



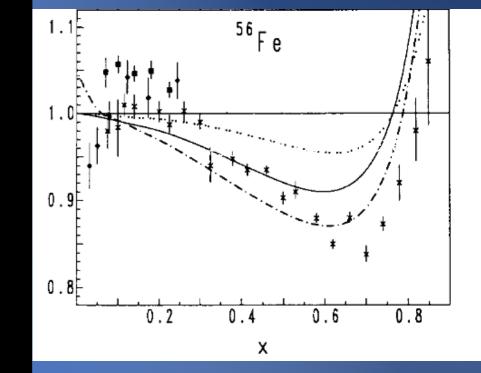
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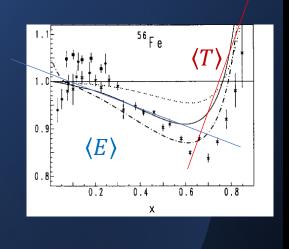
Explanation: x-rescaling

$$f_A(x, Q^2) = f_N\left(\frac{x}{1-\frac{\langle E \rangle}{M}}, Q^2\right)$$



Kinematic shift from low x to large x



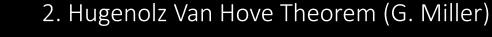


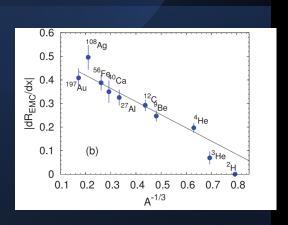


1. Due to the the Koltun Sum Rule

$$\langle E \rangle = 2 |\varepsilon_A| + \frac{A-2}{A-1} \langle T \rangle - \langle V_3 \rangle$$

As you increase the negative slope at intermediate x you also increase the positive slope at large x, and the combination does not match data!

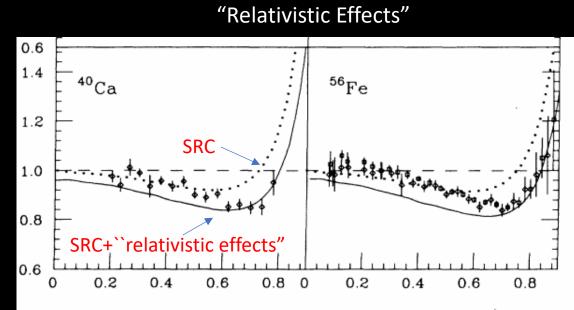




3. From the experimental point of view cannot decscribe quantitatively the regularities in A dependent quantities

J. Arrington et al., PRC86 (2012)

Role of nucleon off-shellness

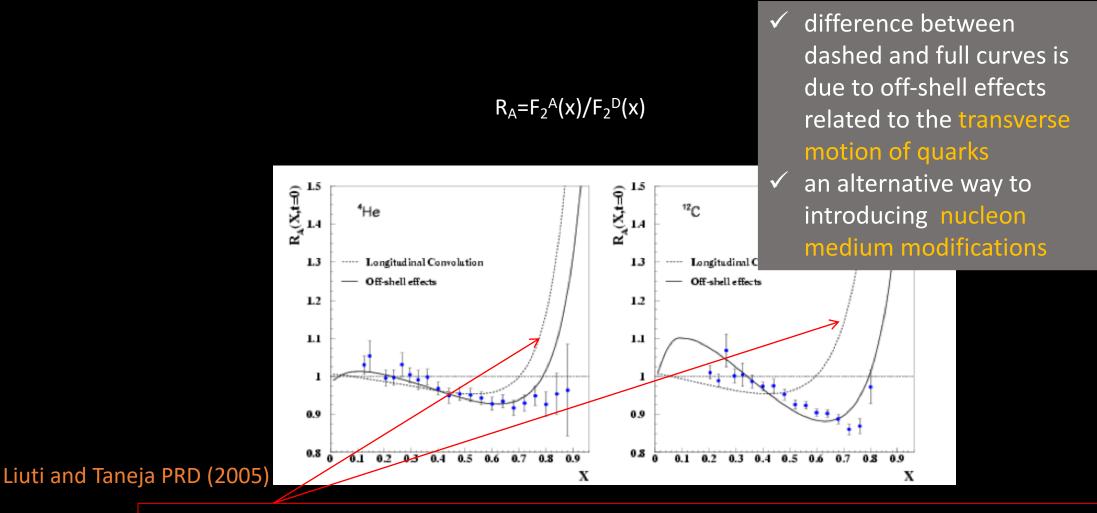


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F. Gross, S. Liuti, PRC45 (1992)

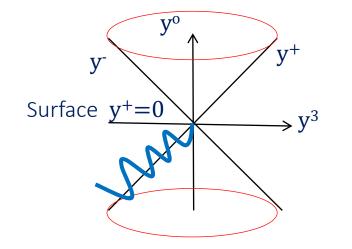
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✓ Calculation including SRC (AV8) with unmodified nucleons

"The existence of kinematical off-shellness indirectly implies that intrinsic deformations/parton reinteractions are present. In other words, off-shell effects are an indirect manifestation of the impact of interactionstaneous particles during the hard scattering process" SL, S.K. Taneja, PRD72 (2005) on nuclear GPDs Momentum and Space Correlations



Fourier transform

$$(ky) = k^{+}y^{-} + k^{-}y^{+} - k_{T} \cdot y_{T}$$

Off-shellness

$$k^2 = 2k^+ k^- - k_T^2$$
 $k^+ = xp^+$

More reading in: Kogut and Soper (1976) Burkardt (2002) Miller (2005) Freese and Miller (2021)

Quark/gluon off-shellness in a partonic picture (skipping spin description)

$$k^2 = xM^2 - \frac{x}{1-x}M_X^2 - \frac{k_T^2}{1-x}$$

$$X, k_T$$

$$M_X$$

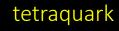
$$1, 0$$

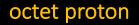
$$X - \zeta, k_T - \Delta_T$$

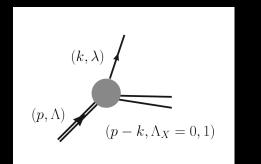
$$1 - X, -k_T$$

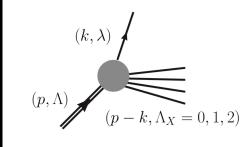
$$1 - \zeta, -\Delta_T$$

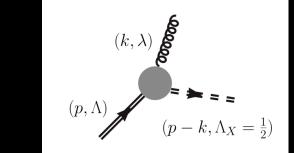












Quark/gluon off-shellness in a Nucleus

$$k^{2} = xM^{2} - \frac{x}{1-x}M_{X}^{2} - \frac{k_{T}^{2}}{1-x}$$

$$k^2 = x'P^2 - \frac{x'}{1-x'}M_X^2 - \frac{k_T'^2}{1-x'}$$

Longitudinal

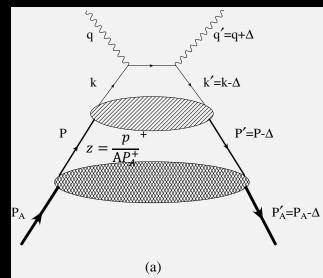
Transverse

Nucleon off-shellness/virtuality

$$x \longrightarrow x' = \frac{x}{z}$$

$$k_T \Longrightarrow k_T' = k_T - \frac{x}{z} p_T$$

$$M^2 \longrightarrow P^2$$

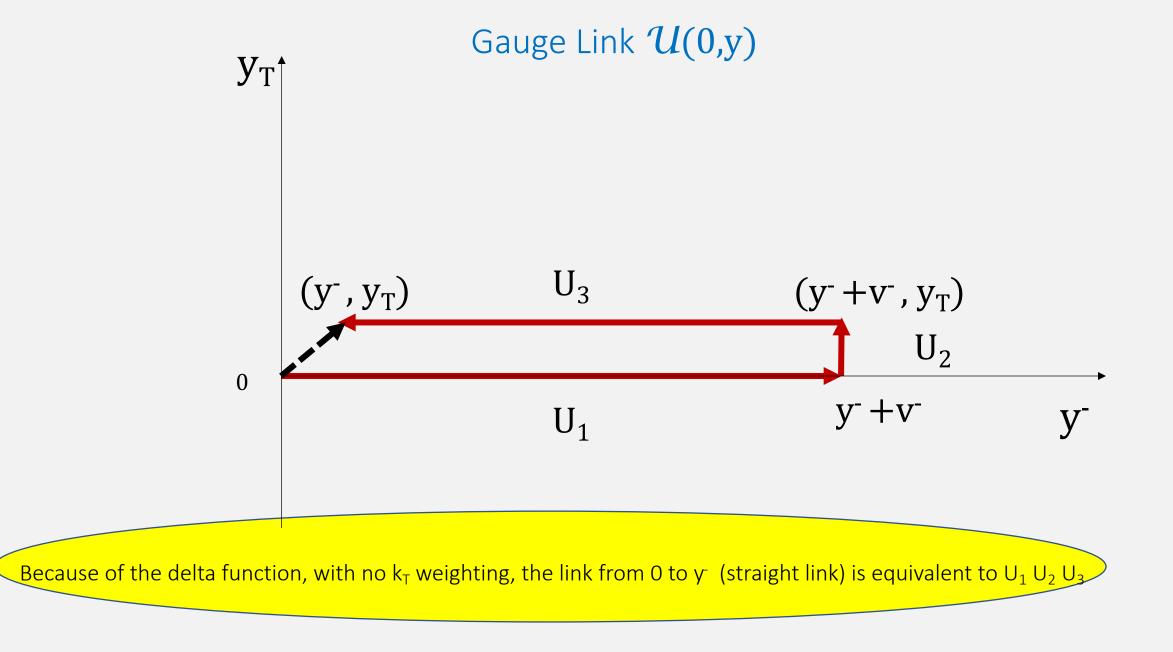


Quark correlation function in a nucleon

$$f(x, \mathbf{k}_T) = \int dk^- W(x, \mathbf{k}_T, k^-) = \int dy^- d^2 \mathbf{y}_T e^{i(\mathbf{k}^+ y^- - \mathbf{k}_T \cdot \mathbf{y}_T)} \langle p \mid \bar{\psi}(0, 0, 0) \mathcal{U}(0, y) \gamma^+ \psi(0, y^-, \mathbf{y}_T) \mid p \rangle_{y^+ = 0}$$

We integrate over $\mathbf{k}^- \Rightarrow$ off-shell effects become equivalent to "quark transverse momentum effects"
$$\int d^2 k_T f(x, \mathbf{k}_T) = \int dy^- d^2 \mathbf{y}_T e^{ik^+ y} \underbrace{\delta^2(\mathbf{y}_T) \langle p \mid \bar{\psi}(0, 0, 0) \mathcal{U}(0, y) \gamma^+ \psi(0, y^-, \mathbf{y}_T) \mid p \rangle_{y^+ = 0}$$

Disclaimer: at tree level, no pQCD yet



$$f(x', \mathbf{k}_T') = \int dy^- d^2 \mathbf{y}_T \, e^{i(x'p^+y^- - \mathbf{k}_T' \cdot \mathbf{y}_T)} \langle p \mid \bar{\psi}(0, 0, 0) \mathcal{U}(0, y) \gamma^+ \psi(0, y^-, \mathbf{y}_T) \mid p \rangle_{y^+ = 0}$$

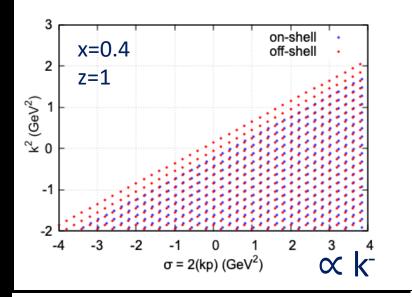
Quark correlation function inside a nucleus (no off-shell effects)

$$d^{2}k_{T}f(x',\mathbf{k}_{T}) = \int dy^{-}d^{2}\mathbf{y}_{T} e^{ix'p^{+}y} e^{ix'\mathbf{p}_{T}\cdot\mathbf{y}_{T}} \delta^{2}(\mathbf{y}_{T}) \langle p \mid \bar{\psi}(0,0,0) \mathcal{U}(0,y) \gamma^{+}\psi(0,y^{-},\mathbf{y}_{T}) \mid p \rangle_{y^{+}=0}$$

$$No \text{ effect from transverse d.o.f}$$

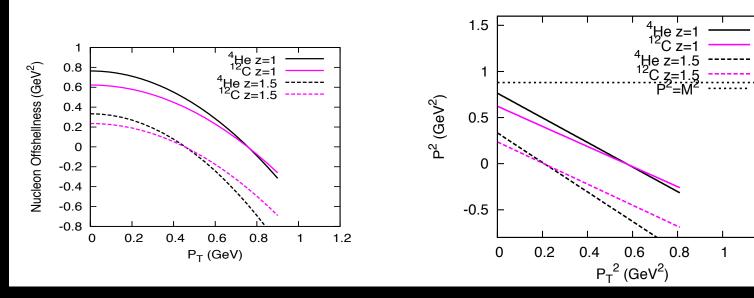
$$\int d^{2}k_{T}f(x',\mathbf{k}_{T}') = \int (y^{-}e^{i(x/z)p^{+}y^{-}} \langle p \rangle) \bar{\psi}(0,0,0) \gamma^{+}\psi(0,y^{-},0) \mid p \rangle_{y^{+}=0}$$

Collinear EMC effect or x-rescaling



But can we disregard Off-shell effects? (i.e. integrate over the whole range of kand set y+=0?)

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The answer is yes, in a controlled approximation

$$f_A(x) = \int d^2k_T f(x', \mathbf{k}'_T) + K_A(p^2) \int d^2k_T k_T^2 f(x', \mathbf{k}'_T)$$

Spread in y_T in nuclei generates a non trivial gauge-link structure: FSI in the nucleon and give origin to the EMC effect

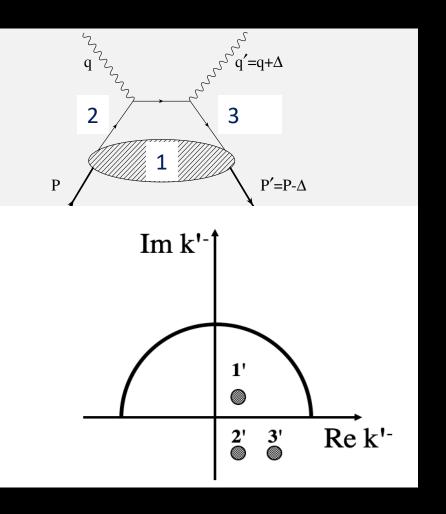
Conclusions

- FSI due to gauge invariance cannot be disregarded, they are actually the cause of the EMC effect
- Envisaging a rich program where this scenario could be tested in a variety of processes, using different polarizations from inclusive to exclusive experiments including DVCS in nuclei
- Please read:
 - C. Ciofi, SL, PLB 212 (1989); C. Ciofi, SL PRC41(1990); F. Gross; SL PRC45 (1992)
 - SL, S.K. Taneja PRC72 (2005)
 - ... talk at CHPI, CERN 2020 and the upcoming paper and quote



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backup



In a partonic picture you have three propagators, giving three poles like in the figure you integrate over the k_X. one that means you put that particle on-shell