

# HPS Collaboration Meeting

New evidence supporting the existence of the hypothetical X17 particle

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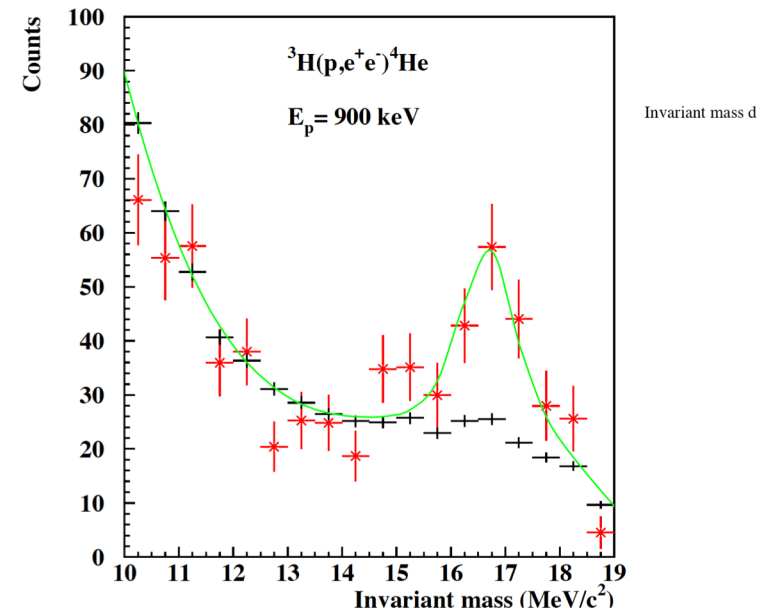
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## X17 ATOMKI anomaly

Valery Kubarovsky

November 20, 2020



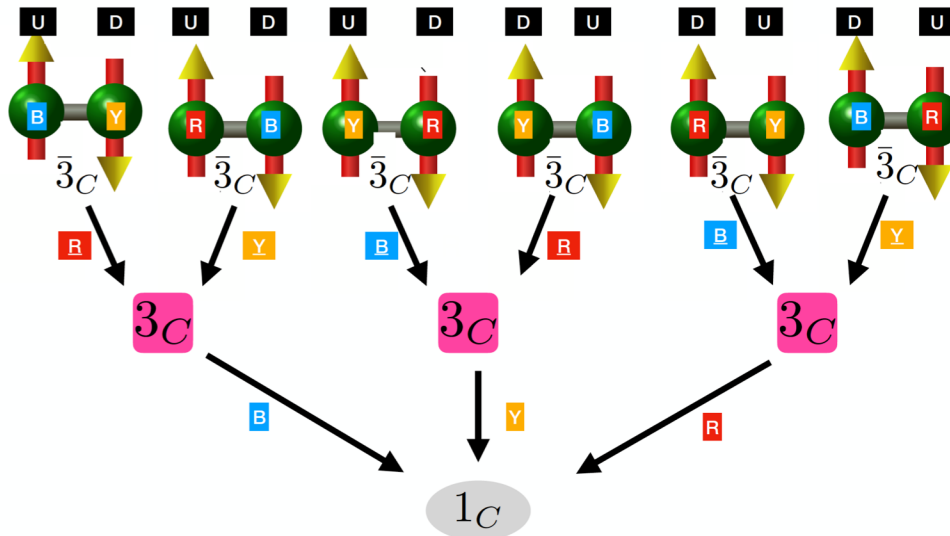
ATOMKI is the **Institute for Nuclear Research, [Hungarian Academy of Sciences](#)**. The institute is located in [Debrecen](#) and was established in 1954 by [Sándor Szalay](#), the founding director.

# Stan Brodsky JLAB Seminar

## June 5, 2020

### The Hexa-Diquark and Novel QCD Effects in Nuclei

Construction of the Hexa-diQuark (HdQ)



HdQ: Jennifer Rittenhouse West, Guy de Teramond, Fred Goldhaber, and Ivan Schmidt

Other Topics: Guy de Tèramond, Hans Günter Dosch, Marina Nielsen, F. Navarra, G. Miller, Tianbo Liu, Liping Zou, S. Groote, S. Koshkarev Xing-Gang Wu, S-Q Wang, C.Lorcè, S. Sufian, A. Deur, R. Vogt, G. Lykasov, M. Karliner, S. Gardner, S. Liuti

Jefferson Lab

June 5, 2020

Stan Brodsky  
SLAC NATIONAL ACCELERATOR LABORATORY



# Holographic QCD and Superconformal Algebra

Baryons: quark + diquark bound states

$$\begin{aligned}
 |p\rangle &= |u[ud]\rangle \\
 |n\rangle &= |d[ud]\rangle \\
 |\Delta^{++}\rangle &= |u(uu)\rangle
 \end{aligned}$$



$$[ud] : S=0, I=0, Q = +\frac{1}{3}, \bar{3}_C$$

*“Good” diquark*

$$(uu) : S=1, I=1, Q = +\frac{4}{3}, \bar{3}_C$$

*“Bad” diquark*

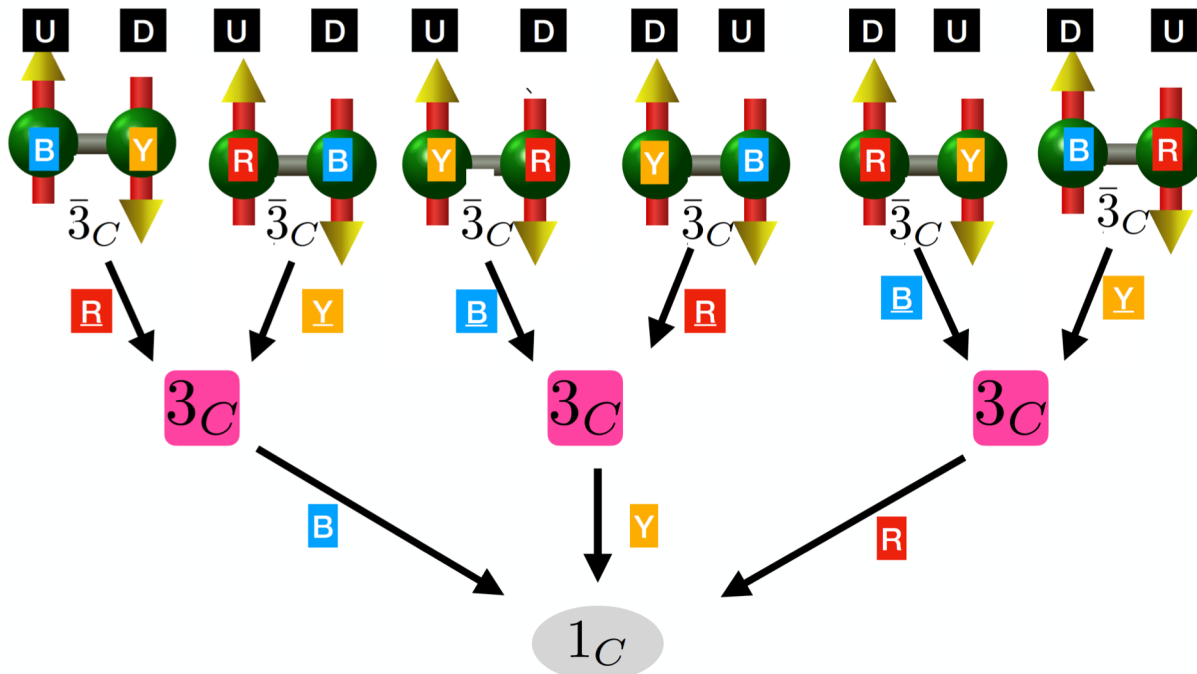
Diquarks:  $3_C \times 3_C = \bar{3}_C + 6_C \rightarrow \bar{3}_C$  (attractive channel)

# $^4\text{He}$ as Hexa-Diquark state

## Construction of the Hexa-diQuark (HdQ)

$$B = 4, I = 0, Q = +2 \quad J^P = 0^+$$

Same Quantum Numbers as He-4



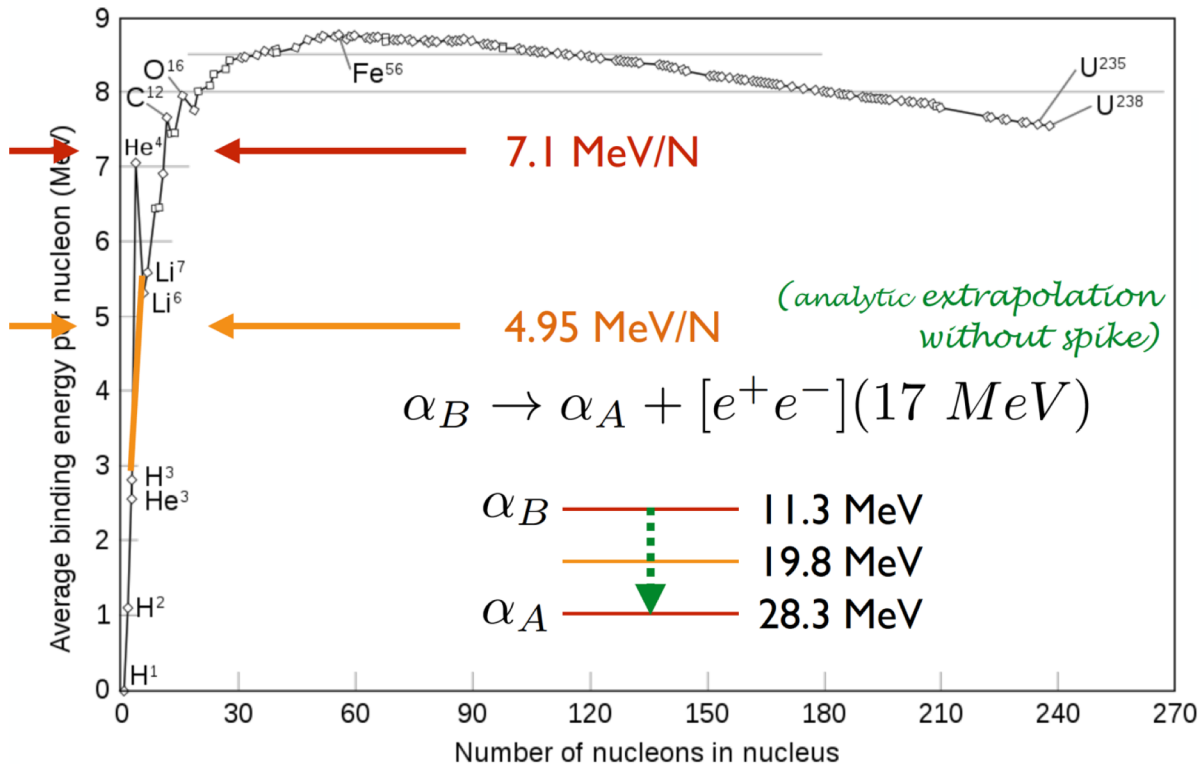
12 quarks: 3 colors X 2 spins X 2 flavors  
Bound by QCD strong interactions

# Binding Energy per Nucleon

$$B.E. (He-4) = 28.3 \text{ MeV} = 4 \times 7.075 \text{ MeV}$$

Remarkably strong binding

B.E / N of  ${}^4\text{He}$  is significantly larger than all nearby nuclei



Binding energy per nucleon of common isotopes. The binding energy per particle of helium-4 is significantly larger than all nearby nuclides.

$$|\alpha\rangle = C_{ppnn} |(u[ud])(d[ud])(u[ud])(d[ud])\rangle + C_{HdQ} |[ud][ud][ud][ud][ud][ud]\rangle.$$

$$\alpha_A = 4 \cdot 7.08 = 28.3 \text{ MeV}$$

$$\alpha_0 = 4 \cdot 4.95 = 19.8 \text{ MeV}$$

$$\alpha_B = \alpha_B - (\alpha_0 - \alpha_B) = 11.3 \text{ MeV}$$

Possible Explanation for  $\alpha$ -17

# Two-state system in Quantum Mechanics

## Feynman lectures on physics

$$i\hbar \frac{dC_1}{dt} = H_{11}C_1 + H_{12}C_2$$

$$i\hbar \frac{dC_2}{dt} = H_{21}C_1 + H_{22}C_2$$

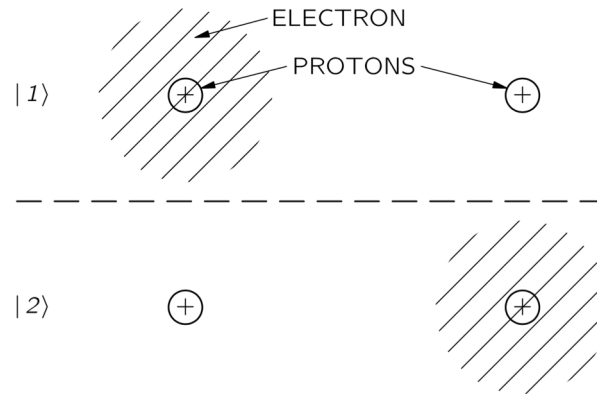


Fig. 10-1. A set of base states for two protons and an electron.

$$|I\rangle = \frac{1}{\sqrt{2}} [|1\rangle - |2\rangle]$$

$$|II\rangle = \frac{1}{\sqrt{2}} [|1\rangle + |2\rangle]$$

$$E_I = E_0 + A$$

$$E_{II} = E_0 - A$$

$$\alpha_A = 4 \cdot 7.08 = 28.3 \text{ MeV}$$

$$\alpha_0 = 4 \cdot 4.95 = 19.3 \text{ MeV}$$

$$\alpha_B = \alpha_B - (\alpha_0 - \alpha_B) = 11.3 \text{ MeV}$$

# Possible Explanation for X17

Mixing of He-4  $|npnp\rangle$  (bound by meson exchange )  
with HdQ  $|[ud][ud][ud][ud][ud][ud]\rangle$  (bound by QCD strong interactions)  
gives two states:  $J^{PC} = 0^{++}$ :  $\alpha_A$  and  $\alpha_B$

Identify  $\alpha_A$  with observed He-4 (B.E. = 28.3 MeV)

Assume excited  $0^{++}$  state  $\alpha_B$  (B.E. = 11.3 MeV)

Electromagnetic transition:  $\alpha_B \rightarrow \alpha_A + \gamma^* \rightarrow \alpha_A + [e^+e^-]$

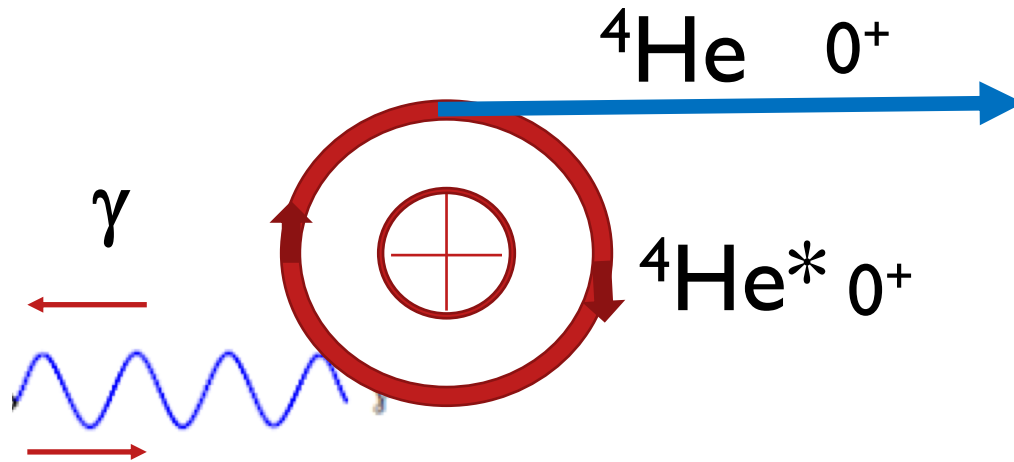
$$M([e^+e^-]) = 17 \text{ MeV}$$

Mean Value: (B.E.= 19.8 MeV )  $|npnp\rangle$  without HdQ

$$B.E./N = 4.95 \text{ MeV}$$

# ${}^4\text{He}^* \rightarrow \text{He}: 0^+ \rightarrow 0^+$ EM transition

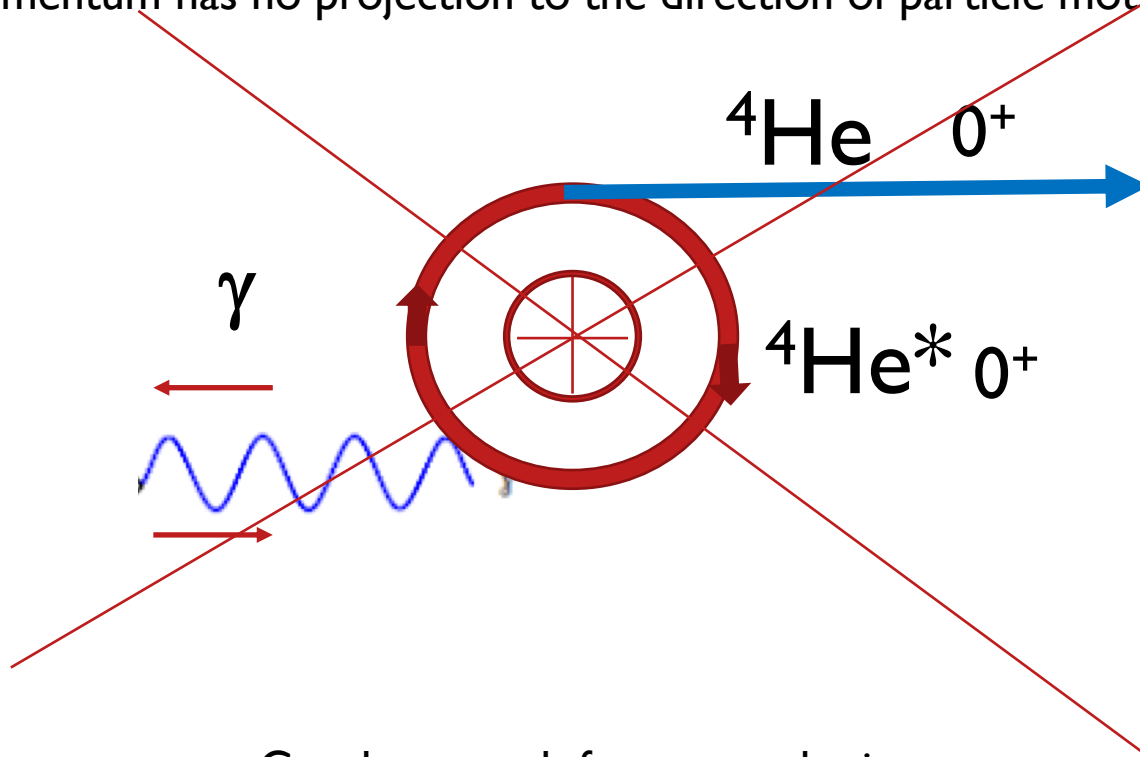
- $0^+ \rightarrow 0^+$  EM transition is forbidden with the real photons in the final state due to the conservation of the angular momentum
- Real photon has projection of the spin to the photon momentum  $+1$  or  $-1$ .
- Orbital momentum has no projection to the direction of particle motion.





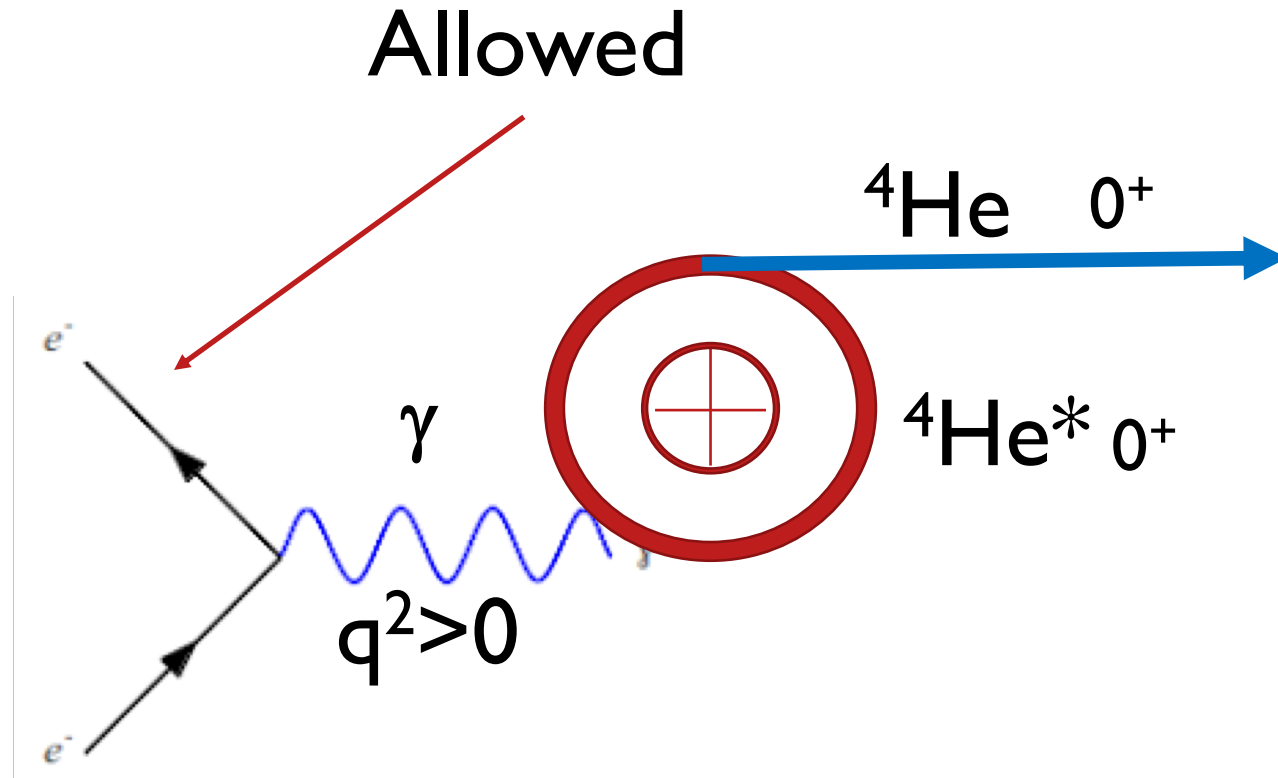
# $0^+ \rightarrow 0^+$ EM transition

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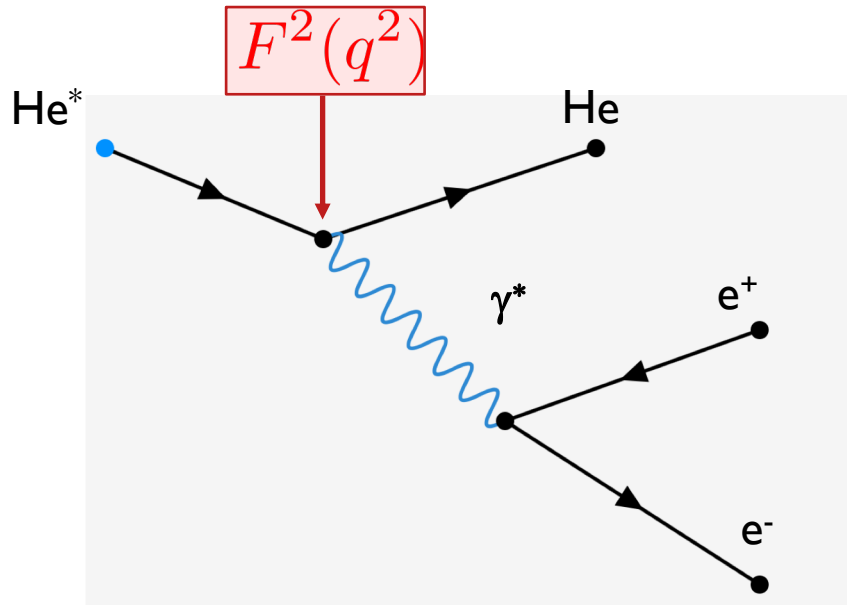
Good to search for a new physics

# $0^+ \rightarrow 0^+$ EM transition



Good to search for a new physics

# Matrix Element ${}^4\text{He}^* \rightarrow {}^4\text{He} + (e^+e^-)$

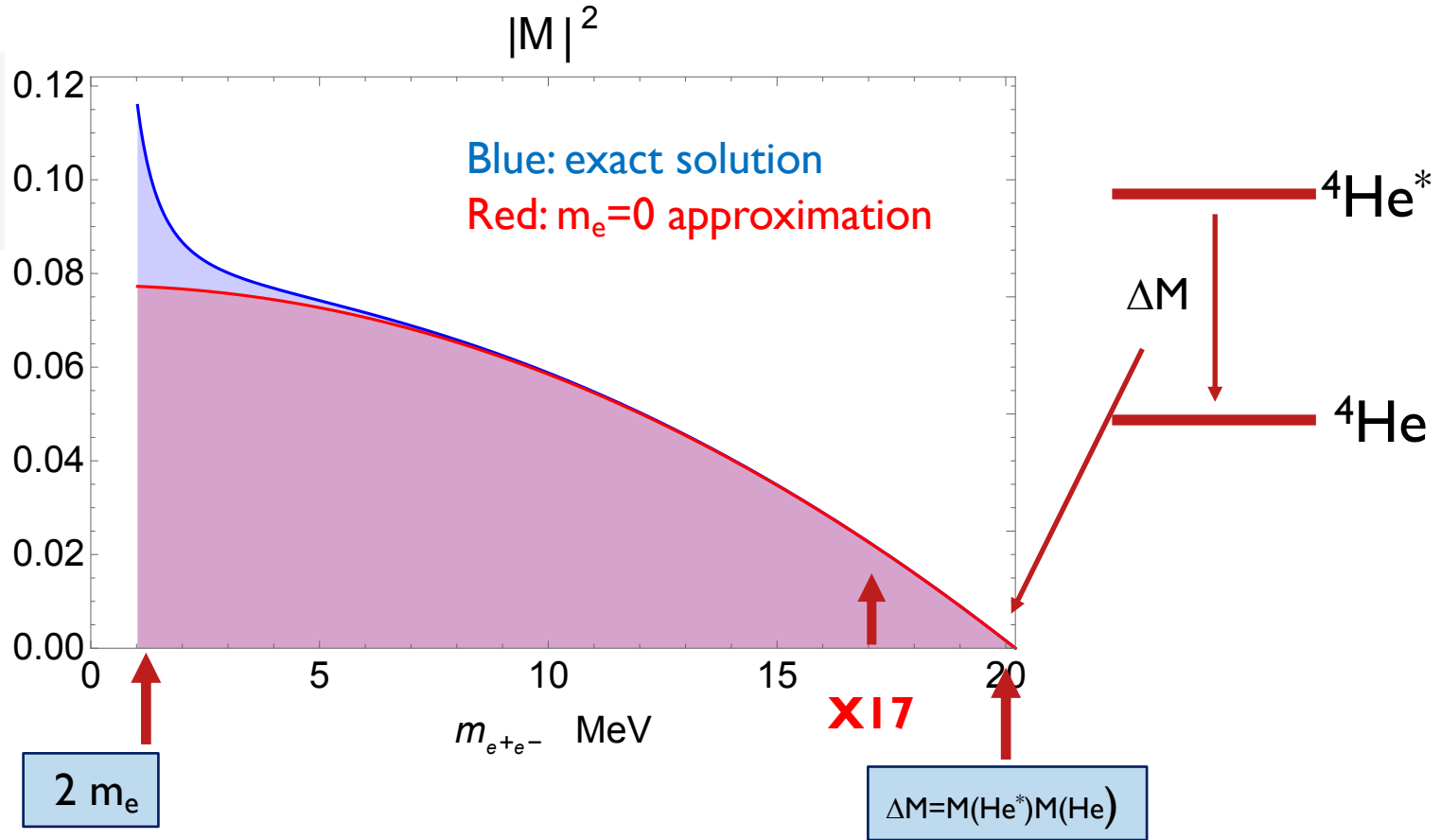
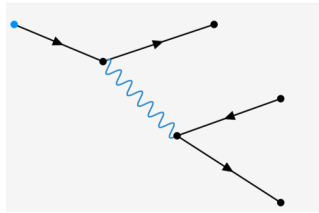


Matrix element of the EM decay  ${}^4\text{He}^* \rightarrow {}^4\text{He} + (e^+e^-)$  was calculated in the “Dynamic evidence for the fifth force explanation of the [ATOMKI nuclear anomalies](#)”, paper 2006.01151, June 2020

$$|M|^2 \sim \left[ 2(p_+ \cdot p_0)(p_- \cdot p_0) - m_{N_0}^2 \left( (p_+ \cdot p_-) + m_e^2 \right) \right] F^2(q^2)$$

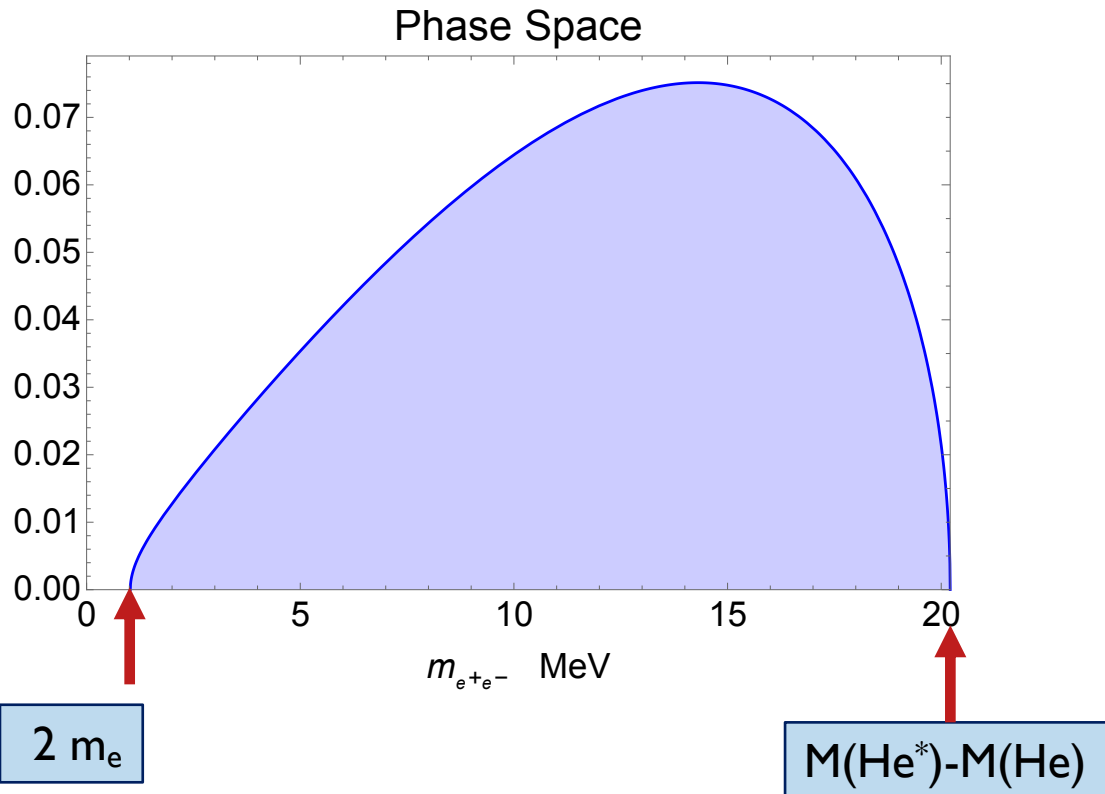
The authors used  $F(q^2)=1$ . They did not calculate  $e^+e^-$  invariant mass distribution.

# Matrix Element ${}^4\text{He}^* \rightarrow {}^4\text{He} + (e^+e^-)$



$$|M(q^2, \cos \theta^*)|^2 \sim \frac{[q^2 - \cos^2 \theta^* (q^2 - 4m_e^2)] [m_*^4 + (m_0^2 - q^2)^2 - 2m(m_0^2 + q^2)]}{8q^2}$$

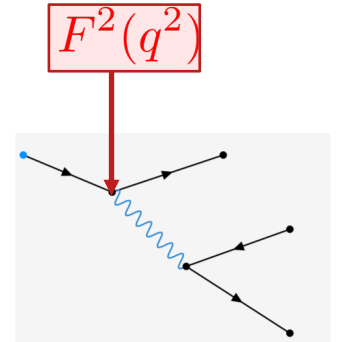
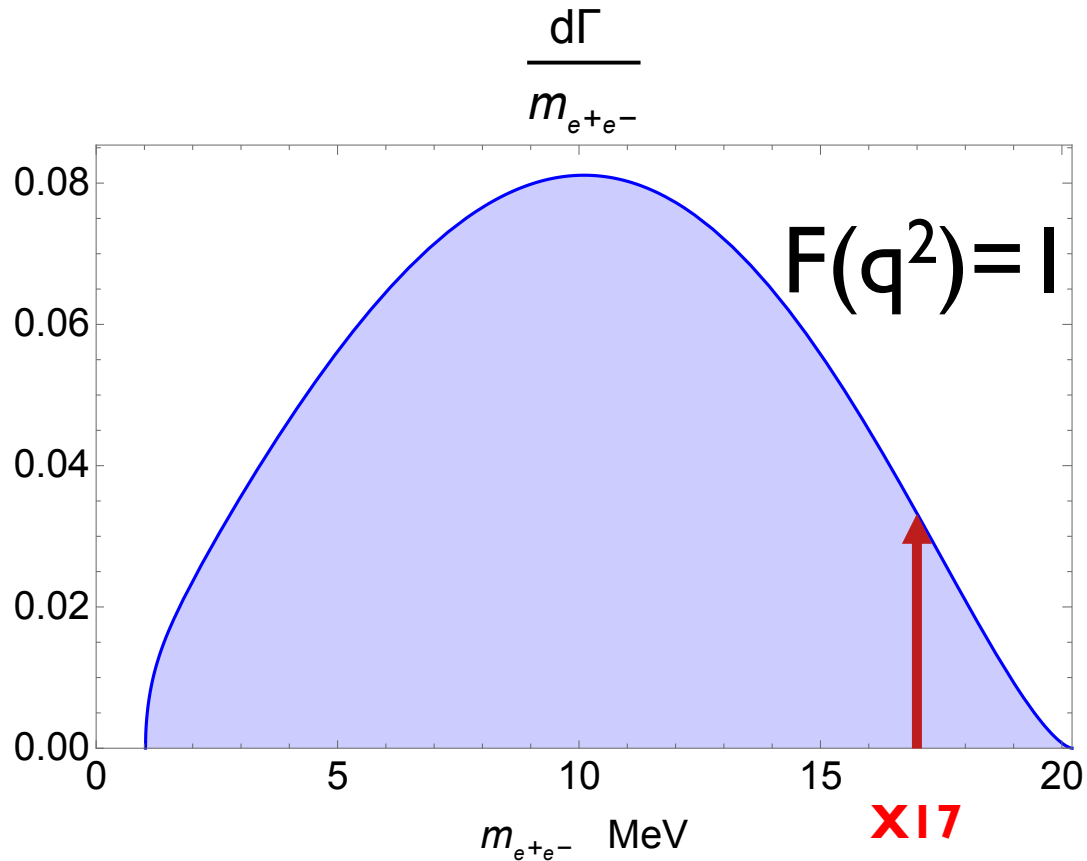
# ${}^4\text{He}^* \rightarrow {}^4\text{He} + (e^+e^-)$ Phase space



$$d\Gamma = \frac{1}{(2\pi)^5} \frac{1}{16m^2} |M|^2 |p_e^*| |p_0| dm_{e^+e^-} d\Omega_e^* d\Omega_{He}$$

$$\Phi(q^2) = |p_e^*| |p_{He}| = \sqrt{\frac{q^2}{4} - m_e^2} \frac{\sqrt{(m^2 - (m_0 - q)^2)(m^2 - (m_0 + q)^2)}}{2m}$$

# Differential Width ${}^4\text{He}^* \rightarrow {}^4\text{He} + e^+e^-$



No enchantment  
in the region of  
X17!

$$\frac{d\Gamma}{dq} \sim q (\Delta m^2 - q^2)^{\frac{3}{2}} F^2(q^2)$$

$$q = m_{e^+e^-}$$

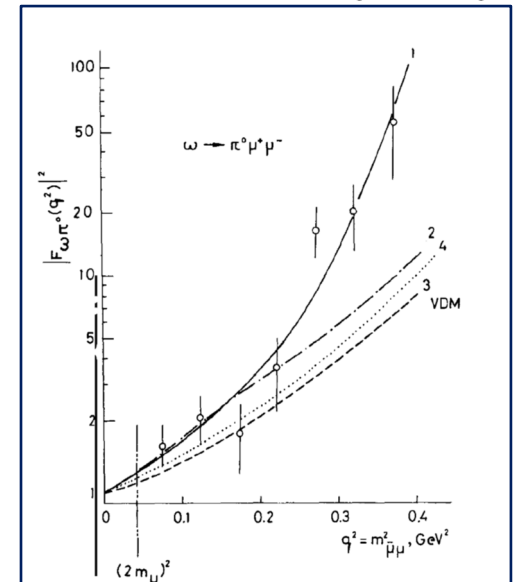
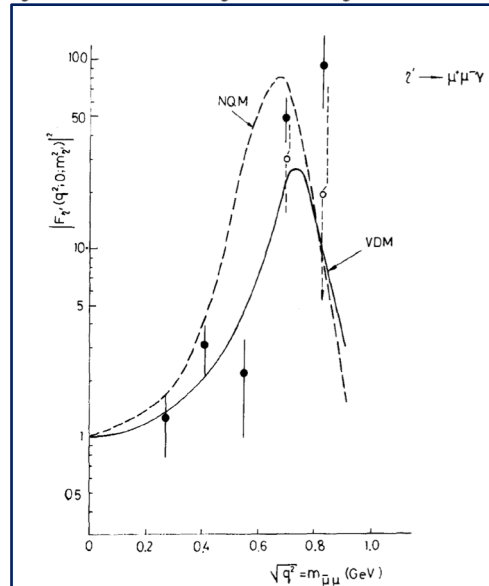
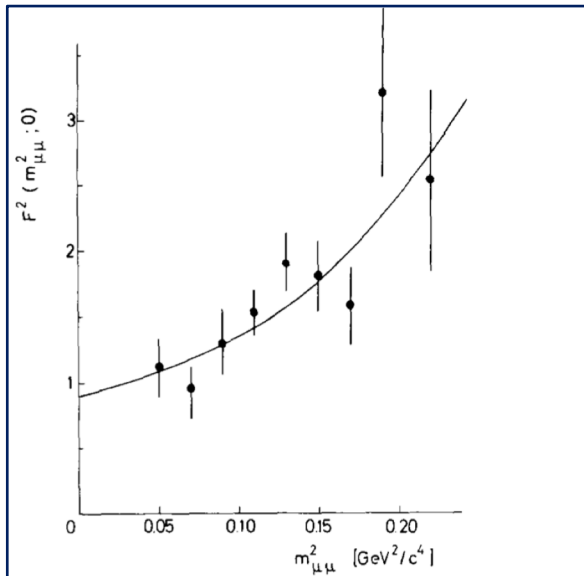
$m_e=0$  approximation

# Transition Formfactors in Time-Like region

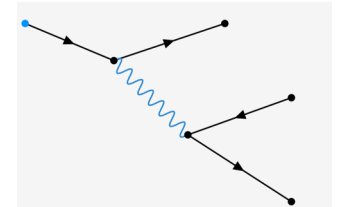
$$\eta \rightarrow \mu^+ \mu^- \gamma$$

$$\eta' \rightarrow \mu^+ \mu^- \gamma$$

$$\omega \rightarrow \pi^0 \mu^+ \mu^-$$

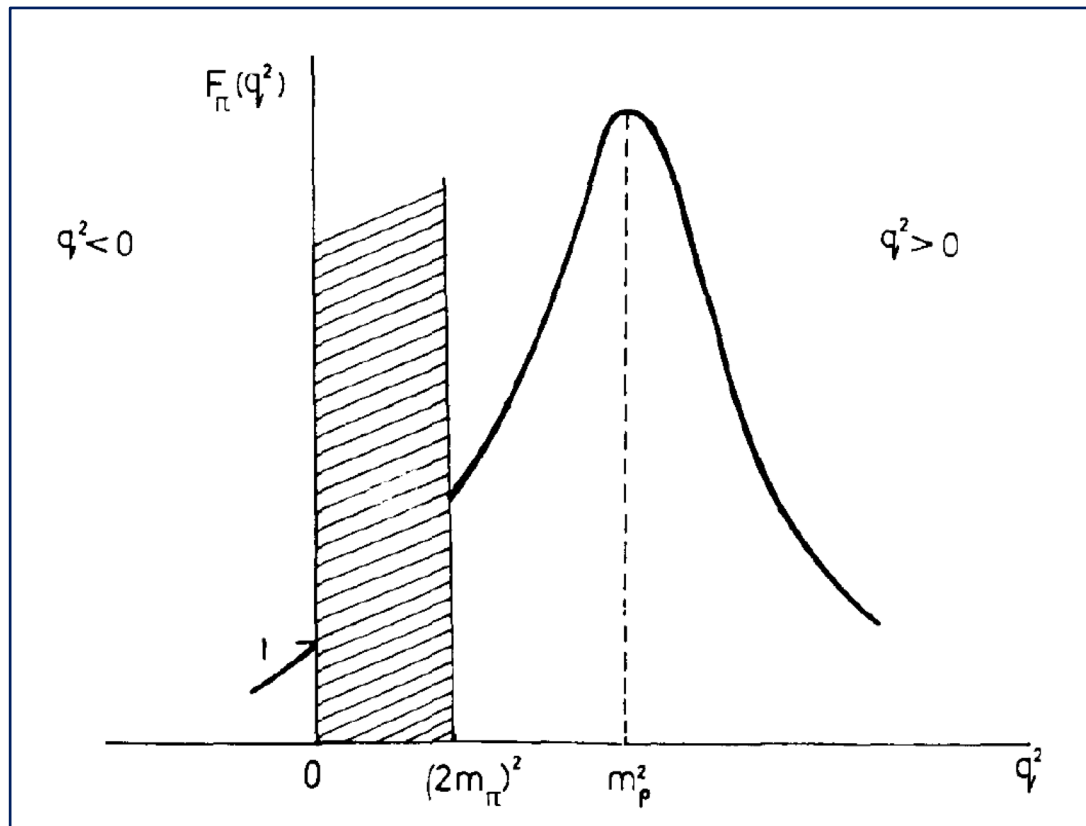


Experiments from LEPTON setup, IHEP, Protvino, Russia  
1979-1981



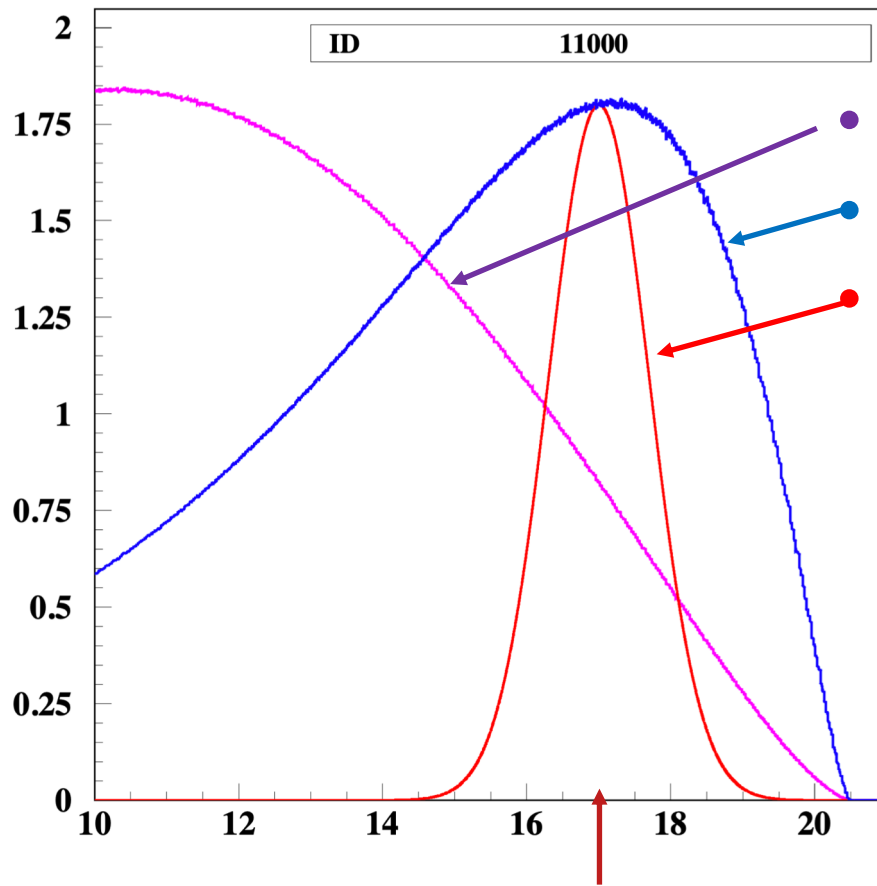
# Transition Formfactors in Time-Like region

Vector dominance model gives an idea how time-like and space-like form factors look like





# Add formfactor: $F(q^2) = e^{(q/\lambda)^2}$



- $F(q^2)=1$
- $F(q^2)=e^{(q/\lambda)^2}$  ,  $\lambda=14$  MeV
- X17 signal

Form factor may create peak at 17 MeV but it is too wide in comparison with ATOMKI signal

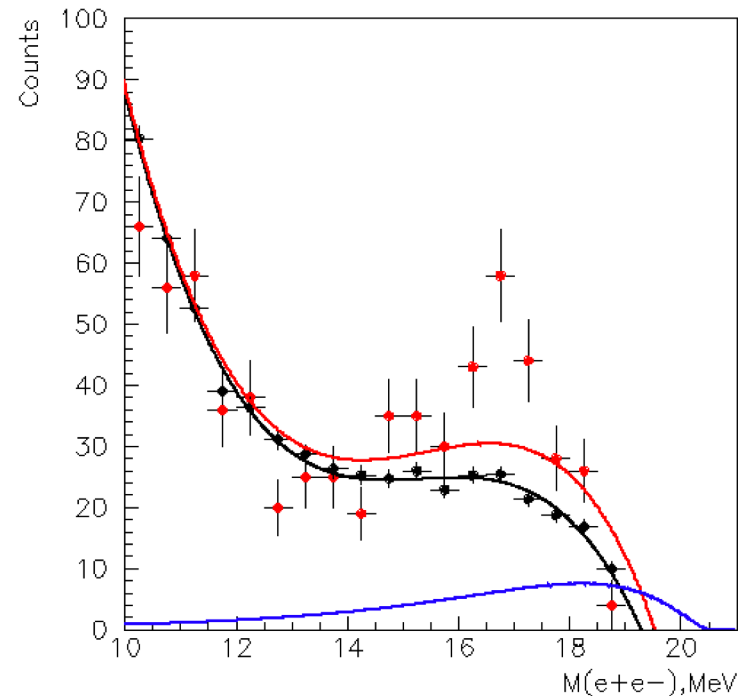
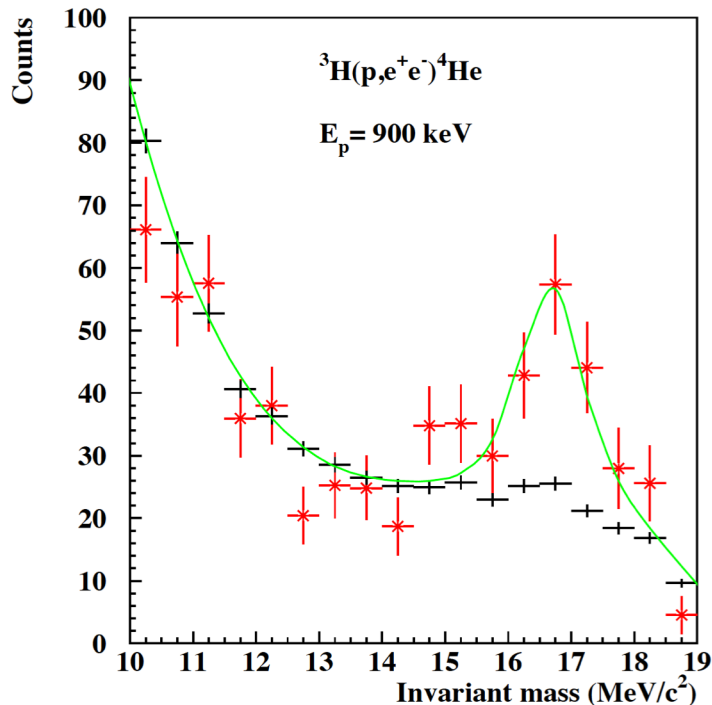
# Add formfactor: $F(q^2) = e^{(q/\lambda)^2}$

ATOMKI signal  $M=17$  MeV  $\sigma= 0.7$  MeV

1. Narrow
2. Far away from the kinematical limit 20.5 MeV

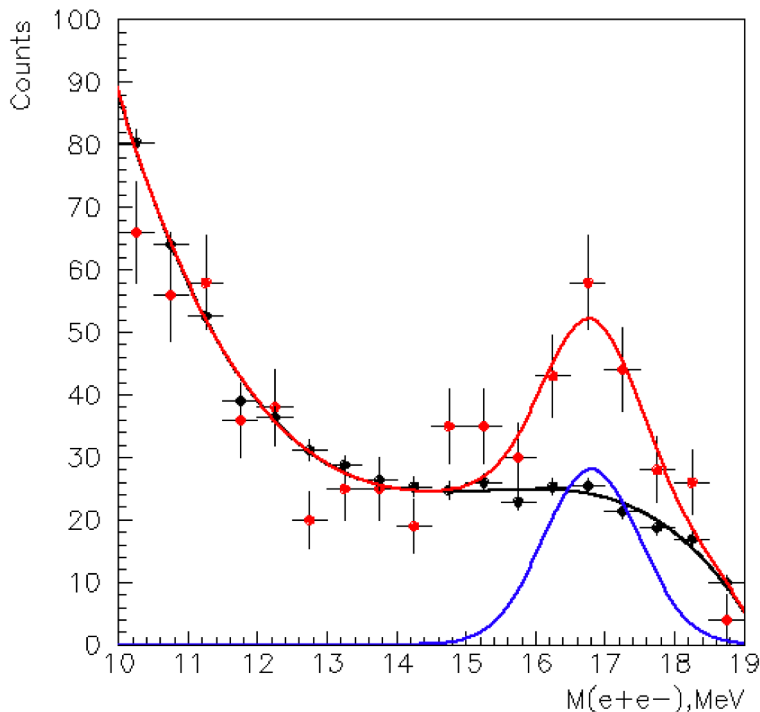
- Fit gives  $\lambda=11$  MeV
- No peak appears
- Form factor did not help!

There is no way to describe this signal by any reasonable matrix element with FF



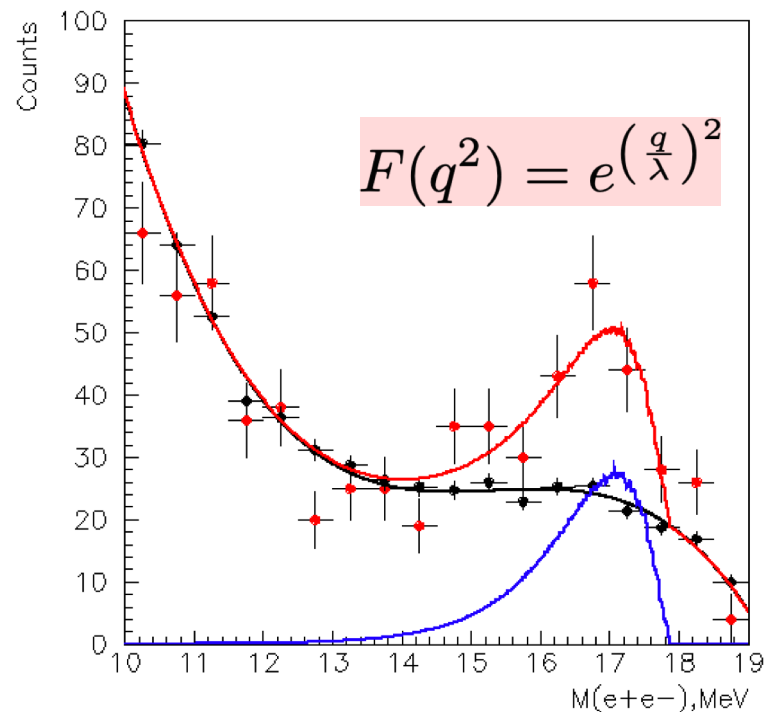
# What if $\Delta M=17.9$ instead of 20.5 MeV?

Gaussian Fit



- Very good fit, even better than with Gaussian function
- Predicted the new  ${}^4\text{He}^*$  excited state with  $\Delta M=17.9$  MeV above the He ground state

$\Delta M=17.9 \pm 0.8 \text{ MeV}$   
FF with  $\lambda=6.2 \pm 0.2 \text{ MeV}$



- Form factor has unrealistic  $\lambda=6.2$  MeV ( $\sim 30$  fm)
- Expected  $\lambda$  around 150 MeV ( $\sim 1$  fm)
- Contradicts the ATOMKI event selection cuts  $E(e^+e^-)=20.5 \pm 1$  MeV

# ${}^8\text{Be}^*(18.15) \rightarrow {}^8\text{Be} + (e^+e^-)$

Xilin Zhang, Gerald A. Miller (Univ of Washington)

*Can nuclear physics explain the anomaly observed in the internal pair production in the Beryllium-8 nucleus?*

Physics Letters B 773 (2017)

- The nuclear physics modeling of the reaction can not explain the anomaly
- Explore the nuclear transition form factor as a possible origin of the anomaly and find the required form factor to be unrealistic for the  ${}^8\text{Be}$  nucleus ( $\lambda=20$  MeV)

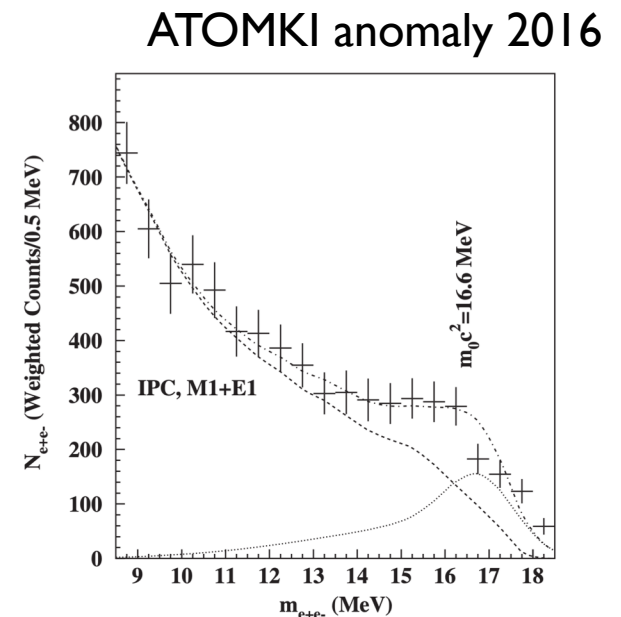
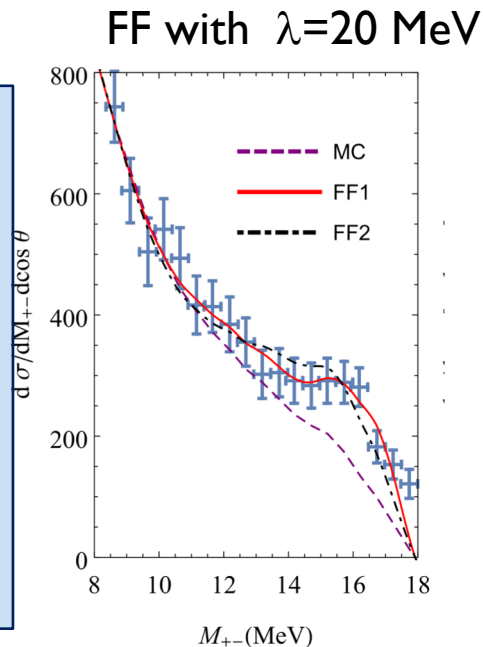


FIG. 5. Invariant mass distribution derived for the 18.15 MeV transition in  ${}^8\text{Be}$ .

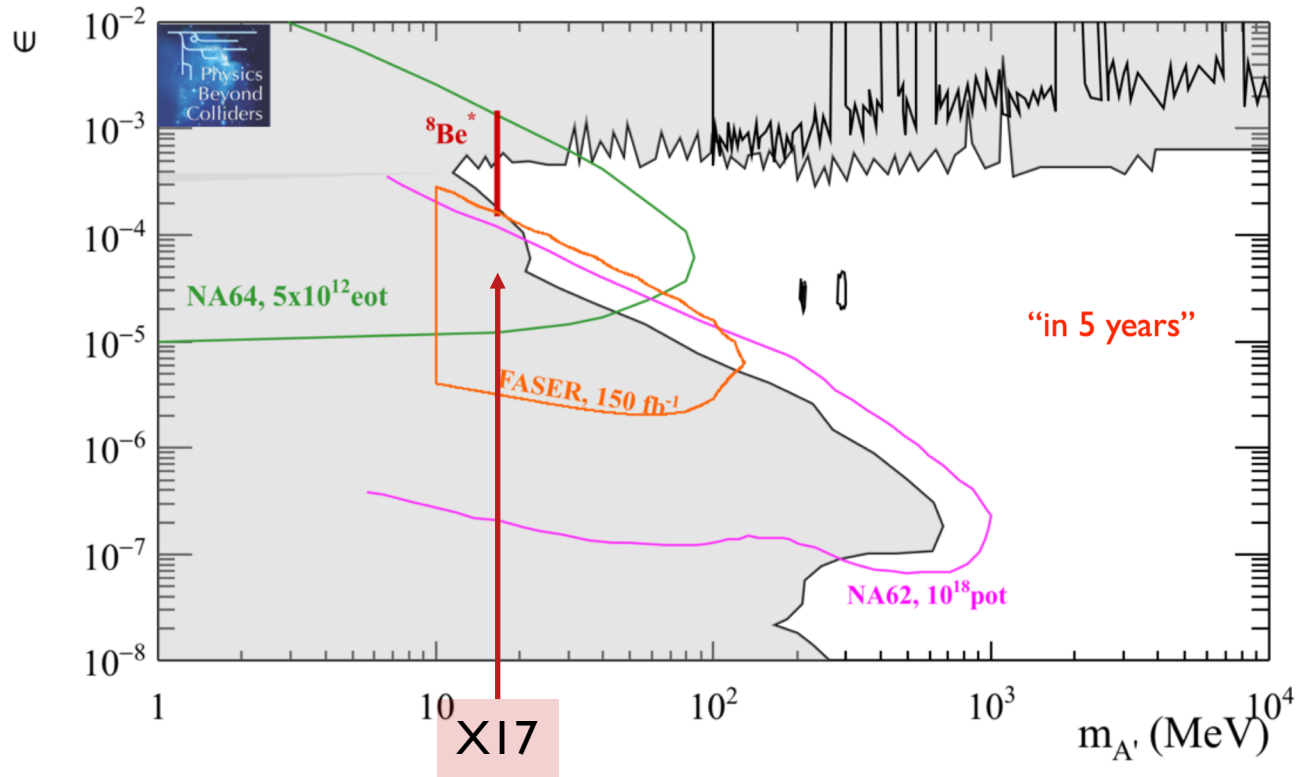
# Nuclear Physics and X17 anomaly

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- Nuclear physics conventional electromagnetic transitions cannot explain the X17 ATOMKI anomaly for both  $^8\text{Be}$  or  $^4\text{He}$
- Adding form factor helps but the required parameters are unrealistic for the nuclear transition of these nuclei
- It makes interpretation of the X17 as an exotic particle more robust

# X17 anomaly

<https://arxiv.org/abs/1901.09966>



It is still not late for HPS to make a contribution in resolving the X17 anomaly mystery

# Summary

- I examine the possible explanation of the ATOMKI anomaly in the framework of the effective field theory of the electromagnetic transition  ${}^4\text{He}^*(20.5) \rightarrow {}^4\text{He} + (e^+e^-)$ .
- This theory cannot explain the anomaly
- The nuclear transition form factor may help to simulate peak in the  $e^+e^-$  invariant mass spectrum but doesn't describe the experimental signal with any reasonable FF parameters
- The ATOMKI signal looks like a transition from the new excited  ${}^4\text{He}(17.9)$  state but the required FF parameter is unrealistic for the  ${}^4\text{He}$  nucleus ( $\lambda=6.2$  MeV)
- This hypothesis contradicts also the experimental event selection cuts
- All these arguments make the interpretation of the X17 anomaly as production of the new exotic particle more solid.
- It may affect in my view the future HPS program

