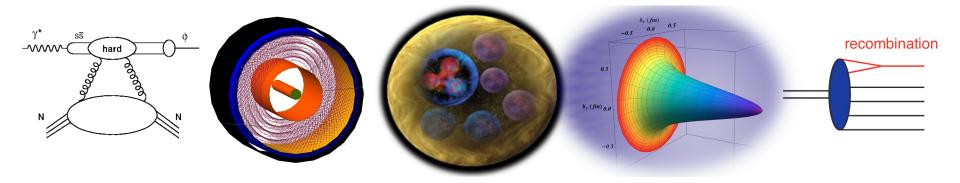
Nuclear TMDs with CLAS12



Proposition for a RG-D Run Group Proposal

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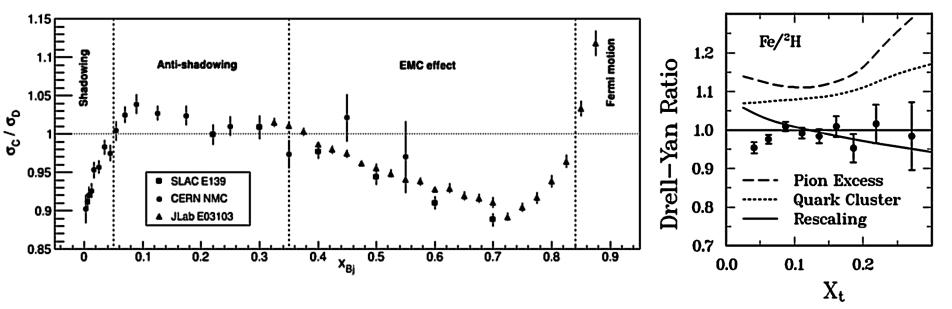








The Nuclear Effects



We discovered nuclear effects at the quark level

- Shadowing, anti-shadowing and EMC effect

The EMC effect remains a mystery to this day

- Meson content induced by NN interaction
- 6, 9, 12-quark clusters
 - Both are excluded by Drell-Yan measurements
- Nucleon size might change \rightarrow bound FF
 - Difficult to prove due to FSI effects
- Q²- or x-rescaling with widely different physical meaning

Resolving the EMC Effect Mystery

Higher precision

- Performed in JLab Hall-C
- Tough to compete with CLAS12 on this front

New processes

- Tagging/SRC (ALERT, BAND, Bonus)
- Nuclear DVCS (ALERT)
- Nuclear TMDs (This talk !)

Why nuclear TMDs ?

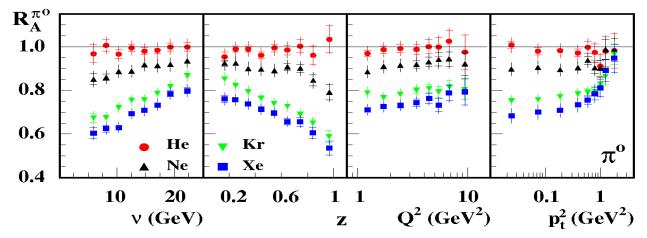
- The missing piece of the nucleus description
 - We observed surprising behavior for the GPDs
- Involves the fragmentation functions
 - These are affected by the medium
 - In particular with the transverse momentum broadening
 - The TMD framework can help treat consistently the data
- It will modernize the way we study nuclear SIDIS

The HERMES data

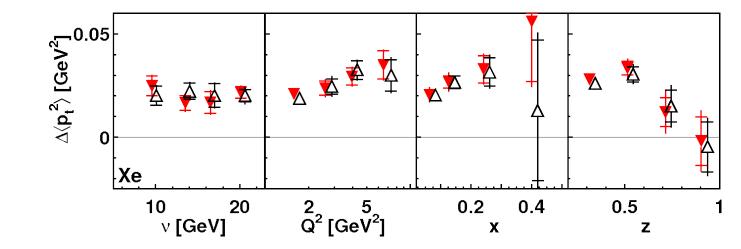
Multiplicity ratio

07/24/20

- Hadron absorption



Transverse momentum broadening



Extracting Signal of the TMDs

TMD extraction is simple, in principle

- Each function has a different modulation
- It is a bit more complicated
 - Resolving the convolution with fragmentation functions

Experimental needs

High acceptance

• CLAS12 !

Polarized beam

• Easy in JLab

- Polarized targets

 Probably not anytime soon for nuclear targets

$$\frac{d\sigma}{lx_{B} dy d\phi_{S} dz d\phi_{h} dP_{h\perp}^{2}} = \frac{\alpha^{2}}{x_{B} y Q^{2}} \frac{y^{2}}{2(1-\varepsilon)}$$

$$\ll \left\{ F_{UU,T} + \varepsilon F_{UU,L} + \sqrt{2\varepsilon(1+\varepsilon)} \cos\phi_{h} F_{UU}^{\cos\phi_{h}} + \varepsilon \cos(2\phi_{h}) F_{UU}^{\cos2\phi_{h}} + \lambda_{e} \sqrt{2\varepsilon(1-\varepsilon)} \sin\phi_{h} F_{LU}^{\sin\phi_{h}} + \varepsilon \cos(2\phi_{h}) F_{UU}^{\cos2\phi_{h}} + \lambda_{e} \sqrt{2\varepsilon(1-\varepsilon)} \sin\phi_{h} F_{LU}^{\sin\phi_{h}} + \varepsilon \sin(2\phi_{h}) F_{UL}^{\sin2\phi_{h}} \right]$$

$$+ S_{\parallel} \left[\sqrt{2\varepsilon(1+\varepsilon)} \sin\phi_{h} F_{UL}^{\sin\phi_{h}} + \varepsilon \sin(2\phi_{h}) F_{UL}^{\sin2\phi_{h}} \right]$$

$$+ S_{\parallel} \lambda_{e} \left[\sqrt{1-\varepsilon^{2}} F_{LL} + \sqrt{2\varepsilon(1-\varepsilon)} \cos\phi_{h} F_{LL}^{\cos\phi_{h}} \right]$$

$$+ |S_{\perp}| \left[\sin(\phi_{h} - \phi_{S}) \left(F_{UT,T}^{\sin(\phi_{h} - \phi_{S})} + \varepsilon F_{UT,L}^{\sin(\phi_{h} - \phi_{S})} \right) \right]$$

$$+ \varepsilon \sin(\phi_{h} + \phi_{S}) F_{UT}^{\sin(\phi_{h} + \phi_{S})} + \varepsilon \sin(3\phi_{h} - \phi_{S}) F_{UT}^{\sin(2\phi_{h} - \phi_{S})}$$

$$+ \sqrt{2\varepsilon(1+\varepsilon)} \sin\phi_{S} F_{UT}^{\sin\phi_{S}} + \sqrt{2\varepsilon(1+\varepsilon)} \sin(2\phi_{h} - \phi_{S}) F_{UT}^{\sin(2\phi_{h} - \phi_{S})}$$

$$+ |S_{\perp}| \lambda_{e} \left[\sqrt{1-\varepsilon^{2}} \cos(\phi_{h} - \phi_{S}) F_{LT}^{\cos(\phi_{h} - \phi_{S})} + \sqrt{2\varepsilon(1-\varepsilon)} \cos\phi_{S} F_{LT}^{\cos\phi_{S}} \right]$$

+
$$\sqrt{2\varepsilon(1-\varepsilon)}\cos(2\phi_h-\phi_S)F_{LT}^{\cos(2\phi_h-\phi_S)}$$

LT

Nuclear TMD

Very little theory on the topic

- Using the model from Liang et al. (PRD 77 125010)

$$f_q^A(x,k_\perp) \approx \frac{A}{\pi \Delta_{2F}} \int d^2 \ell_\perp e^{-(\vec{k}_\perp - \vec{\ell}_\perp)^2 / \Delta_{2F}} f_q^N(x,\ell_\perp)$$

$$\Delta_{2F} = \int d\xi_N^- \hat{q}_F(\xi_N)$$

$$\hat{q}_F(\xi_N) = \frac{2\pi^2 \alpha_s}{N_c} \rho_N^A(\xi_N) [x f_g^N(x)]_{x \to 0}$$

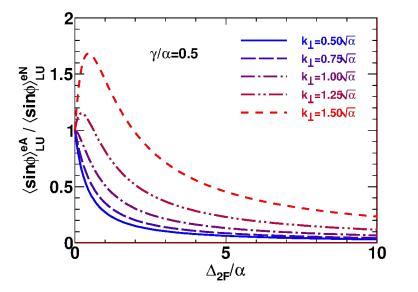
- Uses the transport coefficient of the nuclear matter

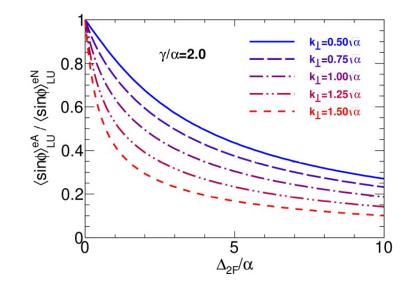
- This nuclear property is poorly known, we have here the chance to measure it properly
- It is directly linked to the saturation scale and should vary with A

- Asymmetries are generated at the partonic level

• Links cleanly to the definition of the transport coefficient

Using TMDs for Hadronization





Model give wide predictions

- α and γ are the width of the TMDs

Usual hadronization measurements use outdated methods

- We should use the TMD framework to study semi-inclusive DIS on nuclei
- The sin and cos moments give direct parton level sensitivity to the transport coefficient

Two independent transport coefficient measurements

- To be compared with the absorption and the transverse momentum broadening

Projections

We ran full simulations

- HERMES generator gmc_trans
- Pass it to GEMC & Full
 CLAS12 reconstruction

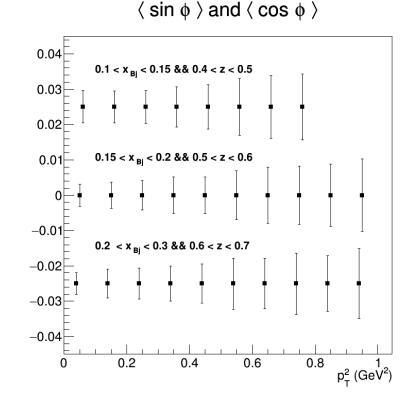
Results for the sin and cos moment

- Identical because only statistical
- Smaller reach in Pt than for the RG-A proton target
- Logical since the beam time is much smaller

This is enough for a first measurement

- Ratios to the proton measurement are key

- The amount of systematic uncertainty that can be canceledwill be key
- We will use the different targets to test if a A dependence can be detected



Summary

We have studied nuclear hadronization and the EMC effect for a long time

- Both topics remain very active to this day
- Using TMD framework is a modernization of the hadronization studies as it is accounting for all components of the SIDIS cross section

The TMD framework will help progress in our understanding

- Asymmetries are generated at the partonic and level allowing a clean interpretation of the data
- Different asymmetries allow to cross check the results from the same data set with different observables
- Different nuclei allow to assess the expected variation of the transport coefficient

The Proposal

- Run group proposal that will run within the RG-D
- We only request the addition of polarization
- We know these data are prone to data mining, it is important to highlight this potential for the jeopardy process