

MICHAEL PAOLONE

TEMPLE UNIVERSITY

FOR THE E05-110 COLLABORATION.

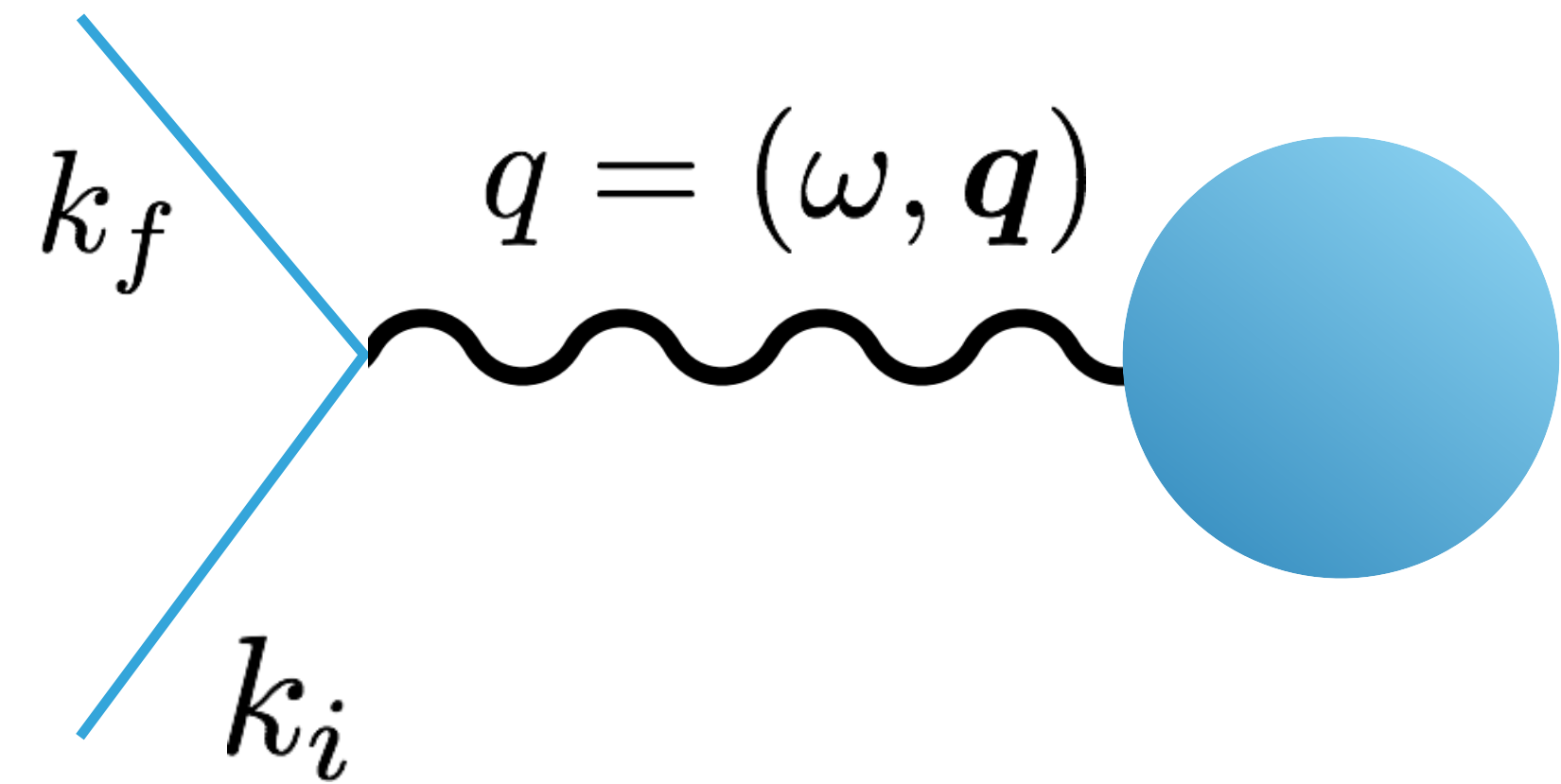
# THE COULOMB SUM RULE IN NUCLEI



# COULOMB SUM RULE

Inclusive electron scattering cross-section:

$$\frac{d^2\sigma}{d\Omega d\omega} = \sigma_{\text{Mott}} \left[ \frac{q^4}{|\mathbf{q}|^4} R_L(\omega, |\mathbf{q}|) + \left( \frac{q^2}{2|\mathbf{q}|^2} + \tan^2 \frac{\theta}{2} \right) R_T(\omega, |\mathbf{q}|) \right]$$



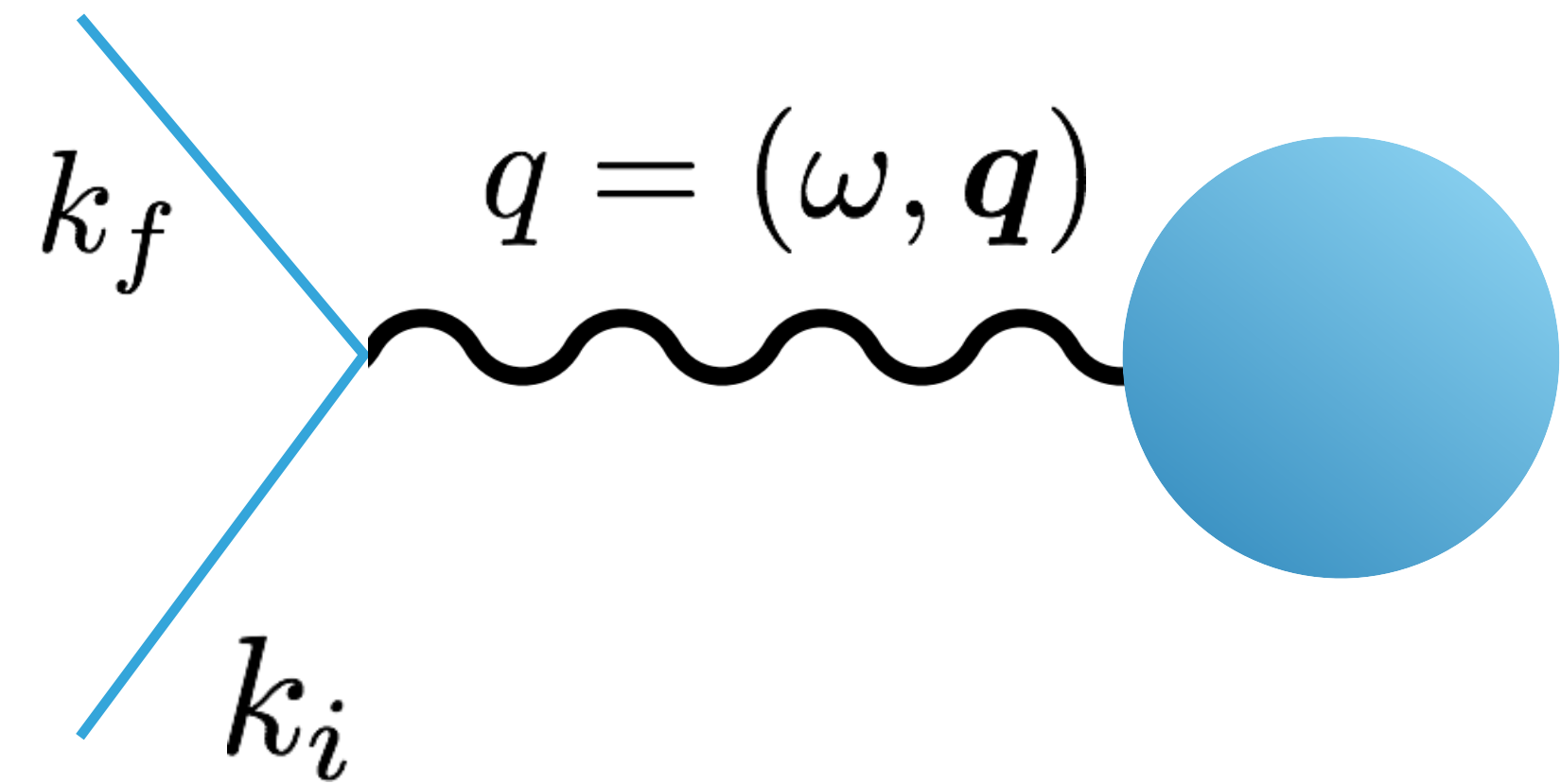
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Scattering response  
due to **charge** properties

Scattering response  
due to **magnetic** properties



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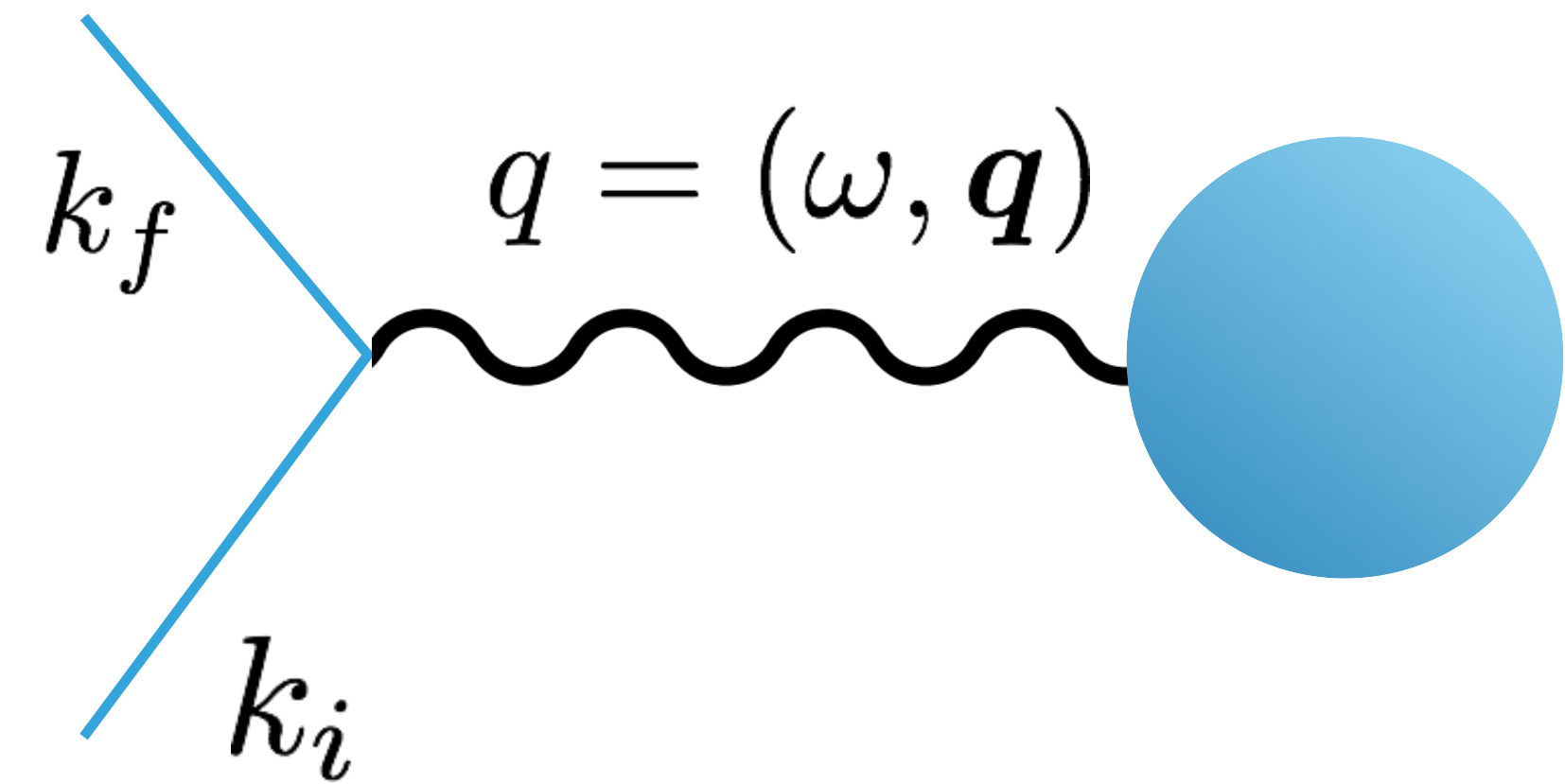
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$$S_L(|\mathbf{q}|) = \int_{\omega^+}^{|\mathbf{q}|} d\omega \frac{R_L(\omega, |\mathbf{q}|)}{Z\tilde{G}_{Ep}^2(Q^2) + N\tilde{G}_{En}^2(Q^2)}$$

If one integrates the charge response divided by the total charge form factor over all available virtual photon energies, naively one might expect the integral to go to unity.





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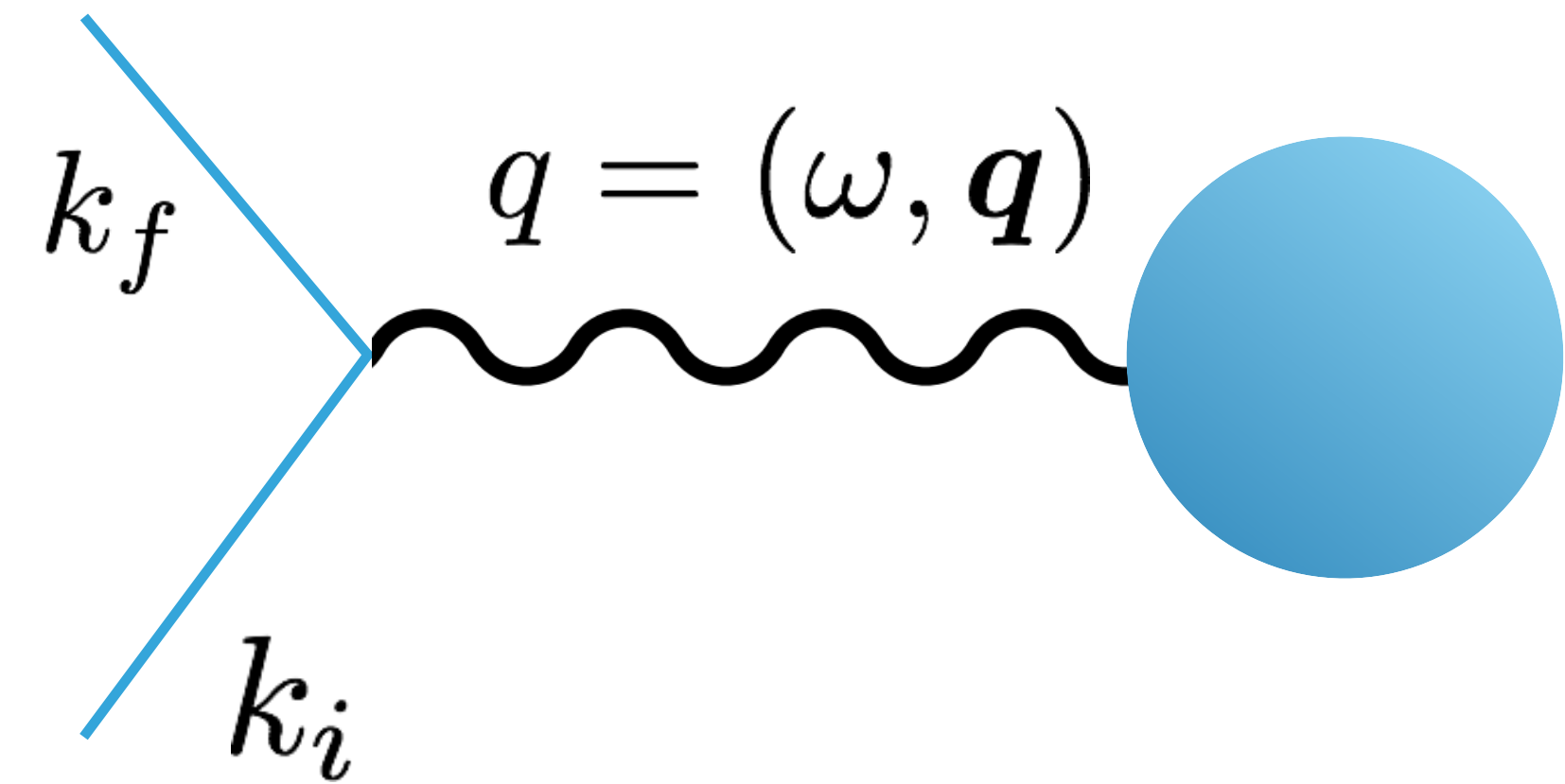
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At small  $|\mathbf{q}|$ ,  $S_L$  will deviate from unity  
due to long range nuclear effects, Pauli blocking.  
(directly calculable, well understood).



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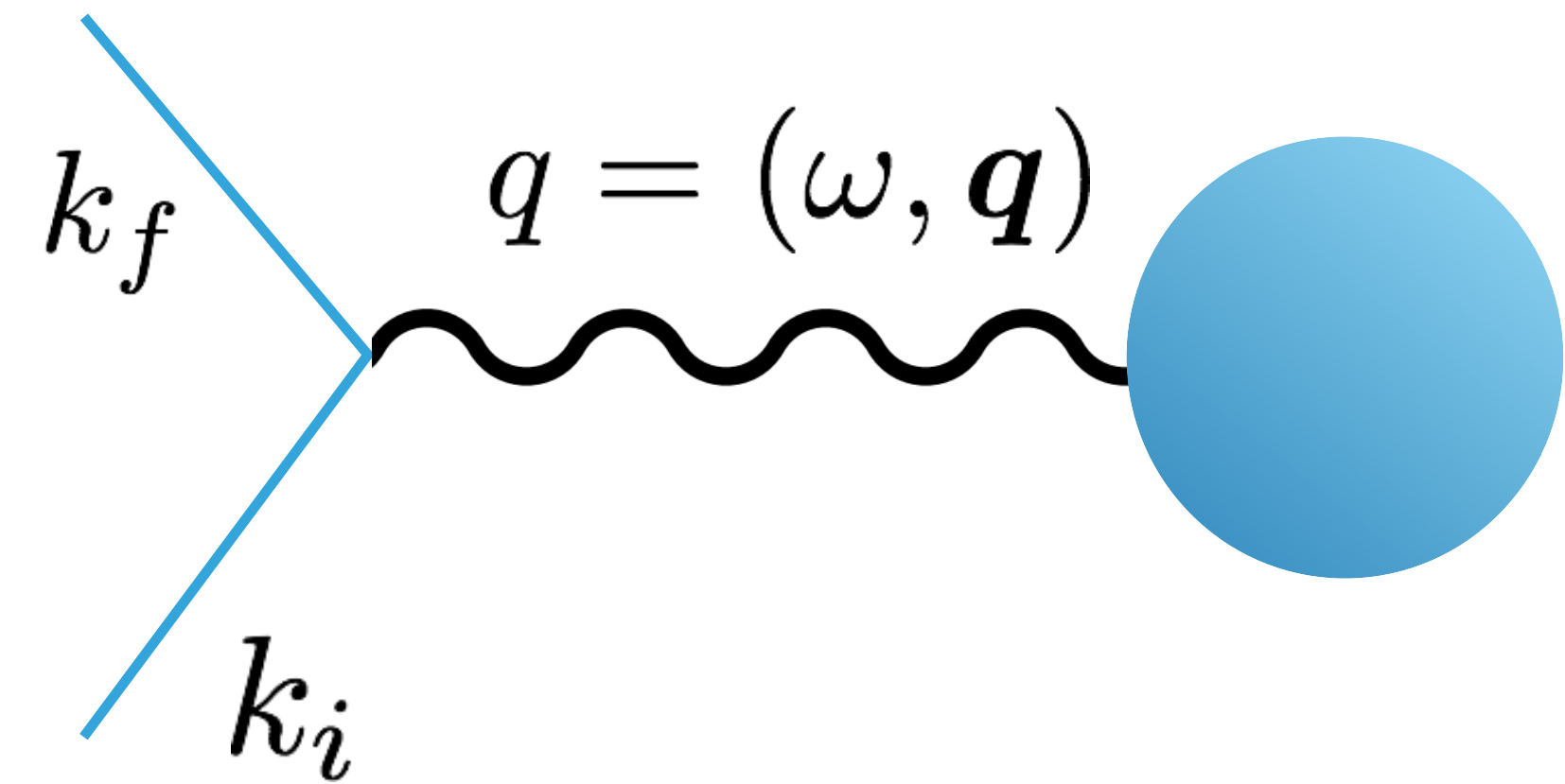
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**At large  $|\mathbf{q}| \gg 2k_f$ ,  $S_L$  should go to 1. Any significant\* deviation from this  
would be an indication of relativistic or medium effects distorting the nucleon form factor!**

\*Short range correlations will also quench  $S_L$ , but only by  $< 10\%$





## THE COULOMB SUM RULE IN NUCLEI

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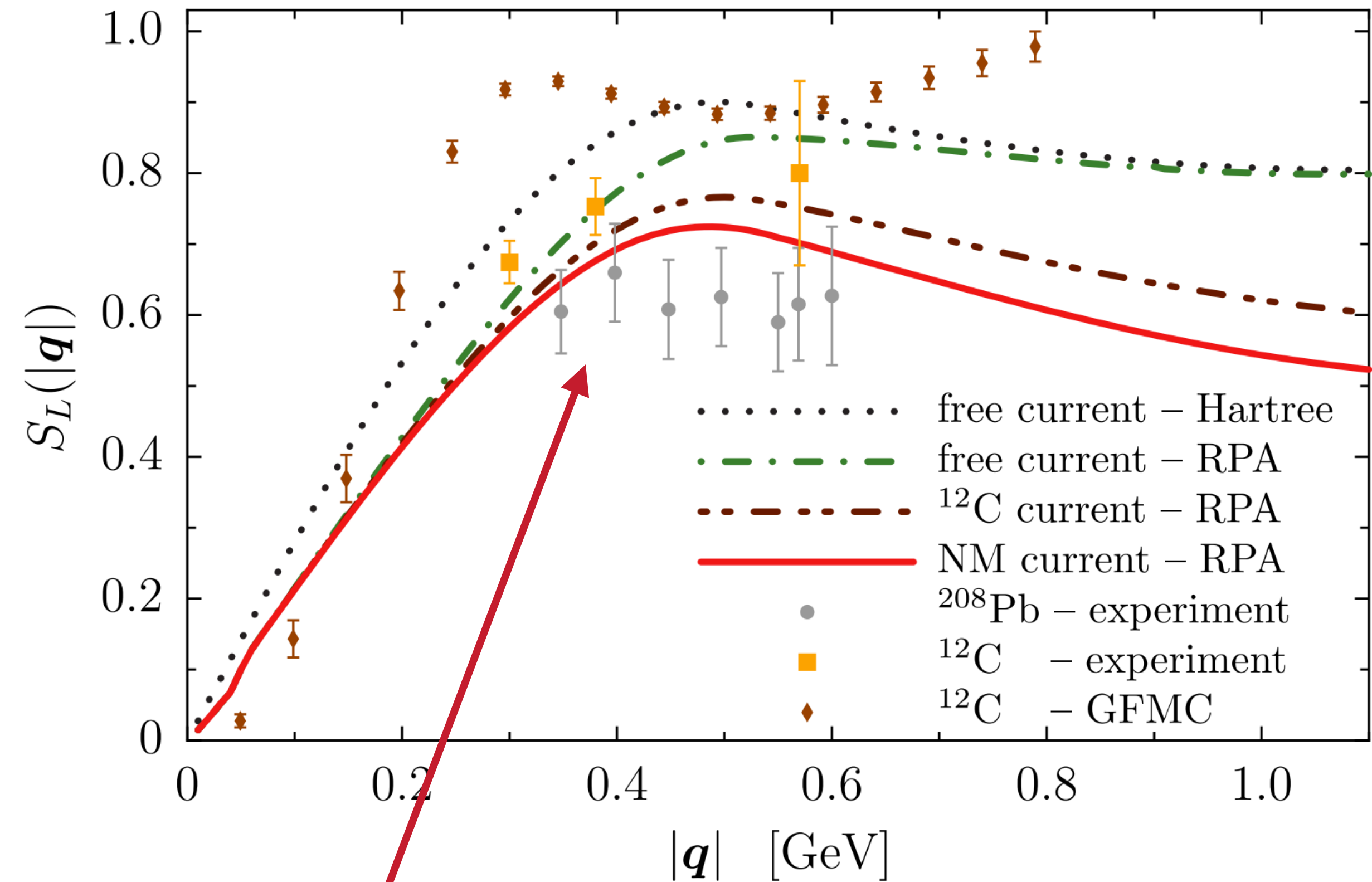
- ▶ Long standing issue with many years of theoretical interest.
- ▶ Even most state-of-the-art models cannot predict existing data.
- ▶ New precise data at larger  $|q|$  would provide crucial insight and constraints to modern calculations.

$$S_L(|\mathbf{q}|) = \int_{\omega^+}^{\infty} d\omega \frac{R_L(\omega, |\mathbf{q}|)}{Z\tilde{G}_{Ep}^2(Q^2) + N\tilde{G}_{En}^2(Q^2)}$$

## Relativistic and Nuclear Medium Effects on the Coulomb Sum Rule

Ian C. Cloët,<sup>1</sup> Wolfgang Bentz,<sup>2</sup> and Anthony W. Thomas<sup>3</sup><sup>1</sup>Physics Division, Argonne National Laboratory, Argonne, Illinois 60439, USA<sup>2</sup>Department of Physics, School of Science, Tokai University, Hiratsuka-shi, Kanagawa 259-1292, Japan<sup>3</sup>CSSM and ARC Centre of Excellence for Particle Physics at the Terascale, Department of Physics, University of Adelaide, Adelaide South Australia 5005, Australia

(Received 23 June 2015; published 19 January 2016)



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# QUASI-ELASTIC SCATTERING

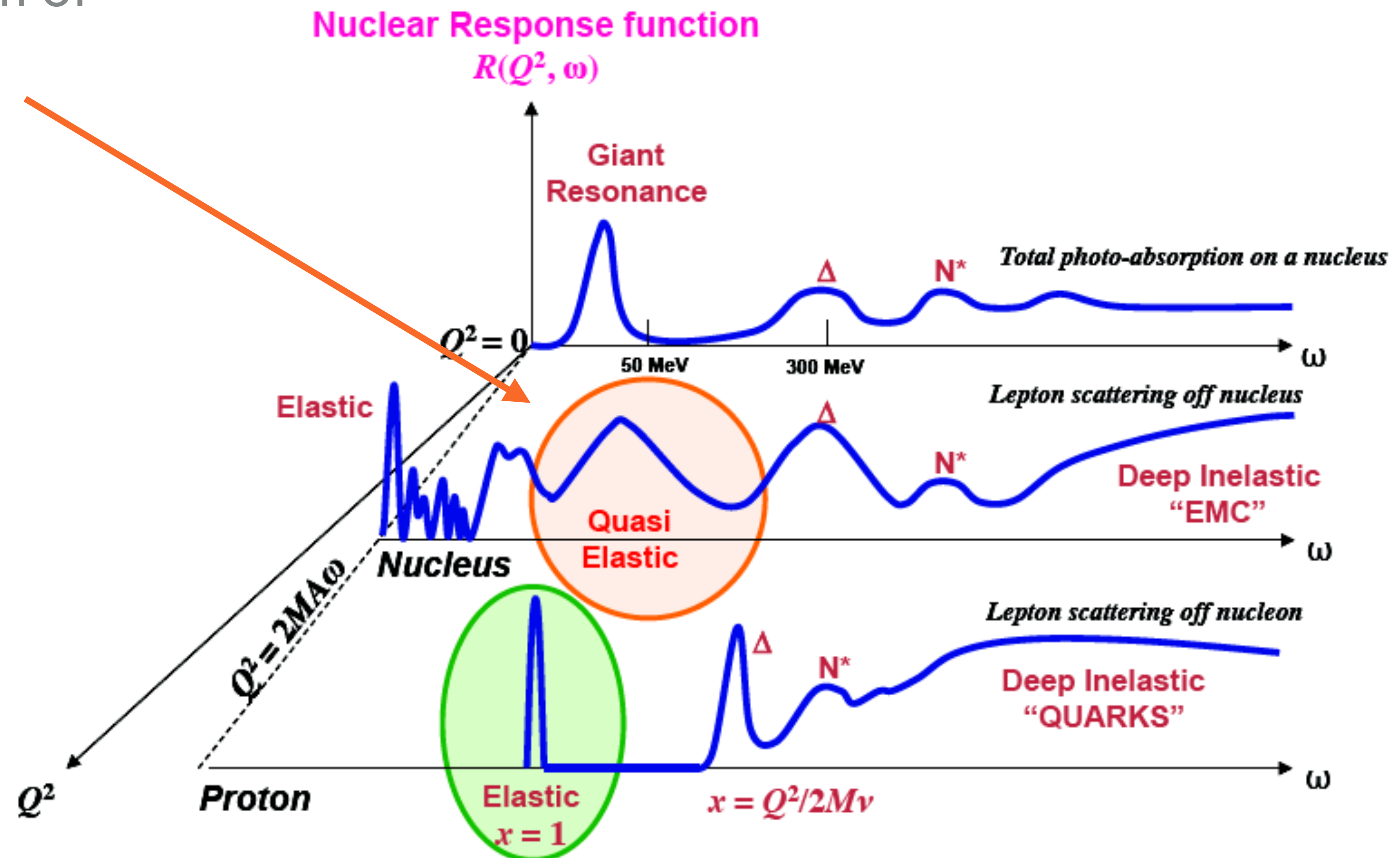
- ▶ Quasi-elastic scattering at intermediate  $Q^2$  is the region of interest for our experiment:

- ▶ Nuclei investigated:

- ▶  $^4\text{He}$
- ▶  $^{12}\text{C}$
- ▶  $^{56}\text{Fe}$
- ▶  $^{208}\text{Pb}$

$$S_L(|\mathbf{q}|) = \int_{\omega_+}^{|\mathbf{q}|} d\omega \frac{R_L(\omega, |\mathbf{q}|)}{Z\tilde{G}_{Ep}^2(Q^2) + N\tilde{G}_{En}^2(Q^2)}$$

We want to integrate above the coherent elastic peak:  
Quasi-elastic is “elastic” scattering on constituent nucleons inside nucleus.

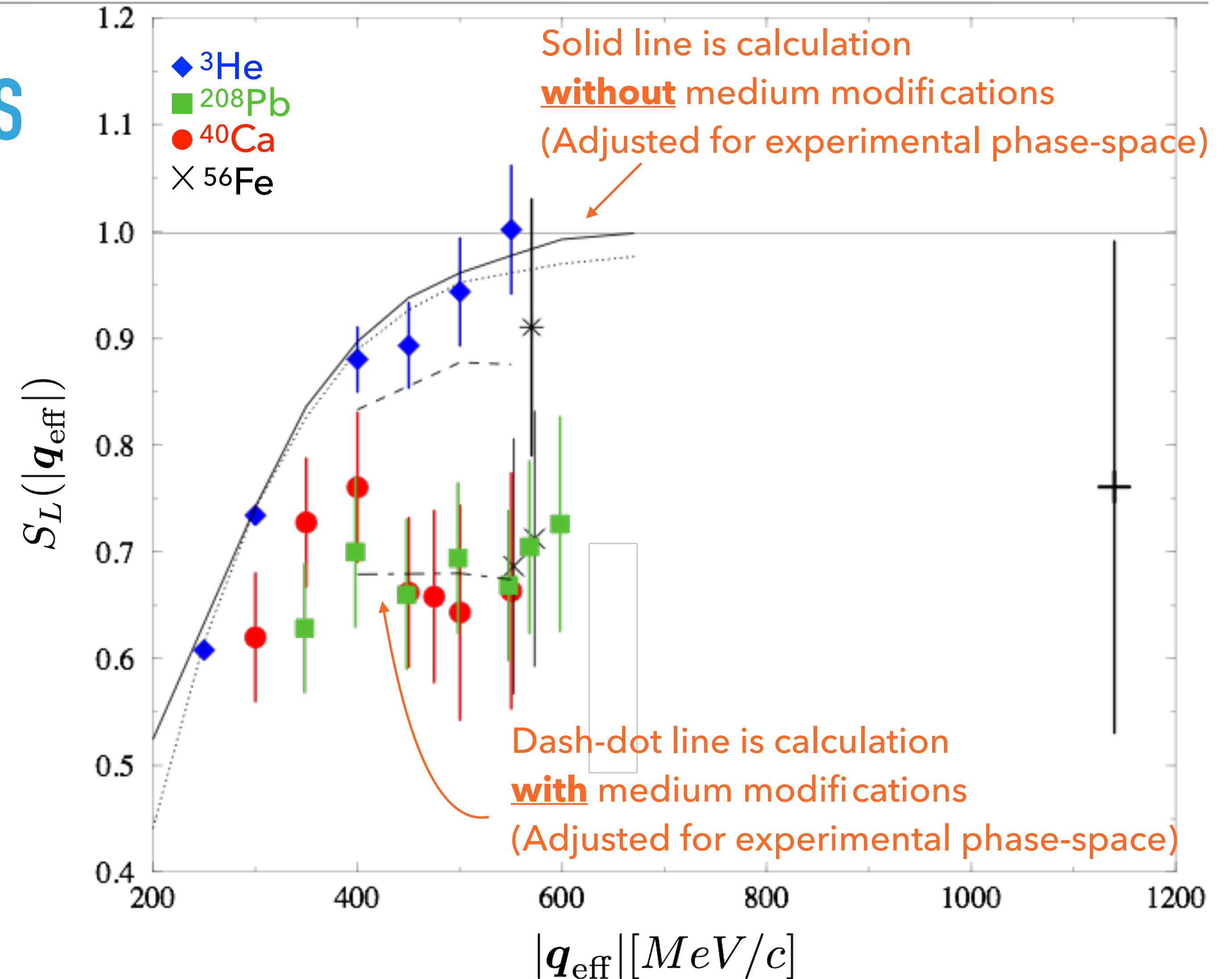




## PUBLISHED EXPERIMENTAL RESULTS

- First group of experiments from Saclay, Bates, and SLAC show a quenching of  $S_L$  consistent with medium modified form-factors.

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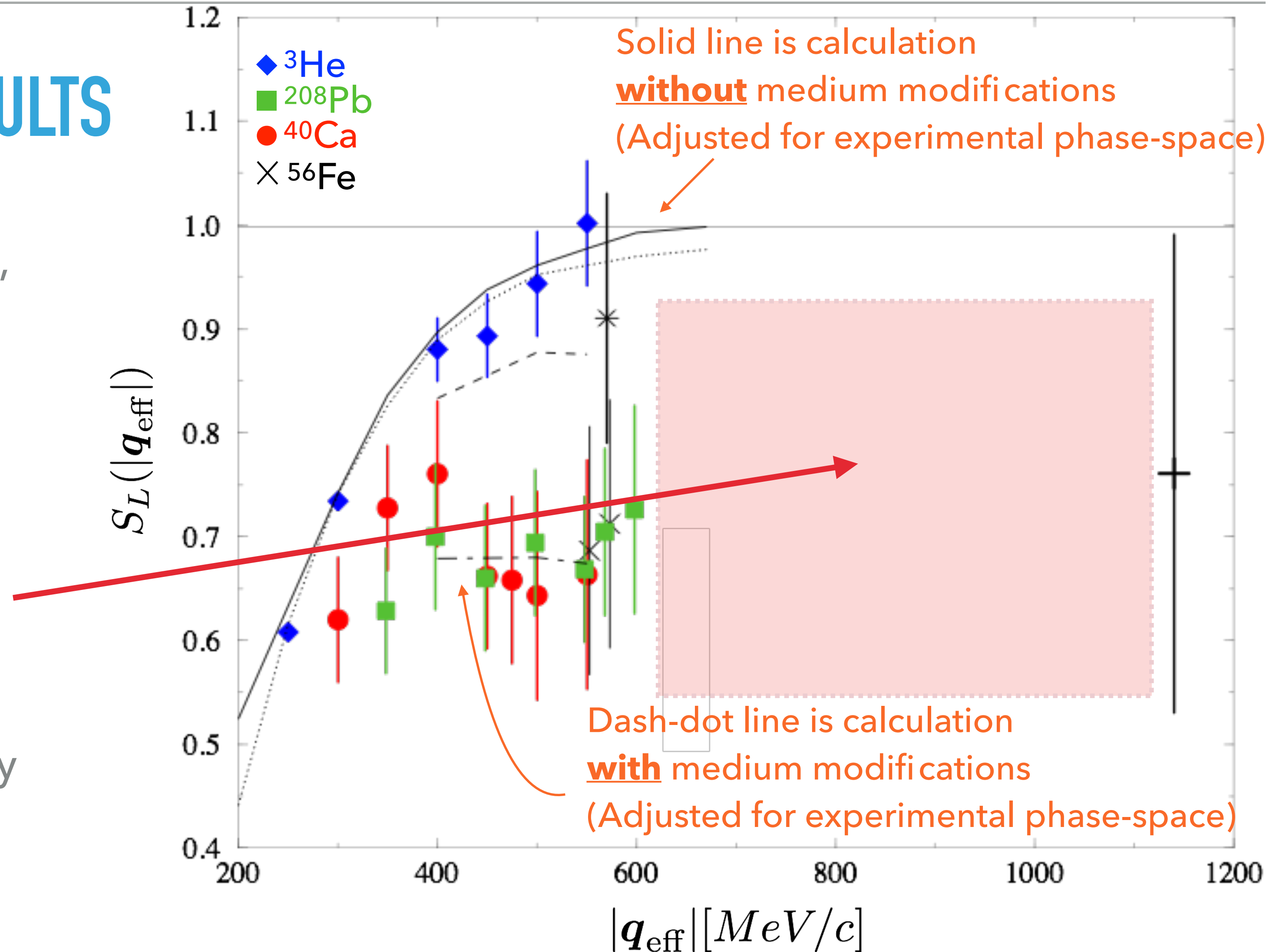


$|\mathbf{q}_{\text{eff}}|$  is  $|\mathbf{q}|$  corrected for a nuclei dependent mean coulomb potential.  
Methodology agreed on by Andreas Aste, Steve Wallace and John Tjon.



## PUBLISHED EXPERIMENTAL RESULTS

- ▶ First group of experiments from Saclay, Bates, and SLAC show a quenching of  $S_L$  consistent with medium modified form-factors.
- ▶ Very little data above  $|\mathbf{q}|$  of 600 MeV/c, where the cleanest signal of medium effects should exist!
- ▶ Saclay, Bates limited in beam energy reach up to 800 MeV.
- ▶ SLAC limited in kinematic coverage of scattered electron at  $|\mathbf{q}|$  below 1150 MeV/c.



$|\mathbf{q}_{\text{eff}}|$  is  $|\mathbf{q}|$  corrected for a nuclei dependent mean coulomb potential.  
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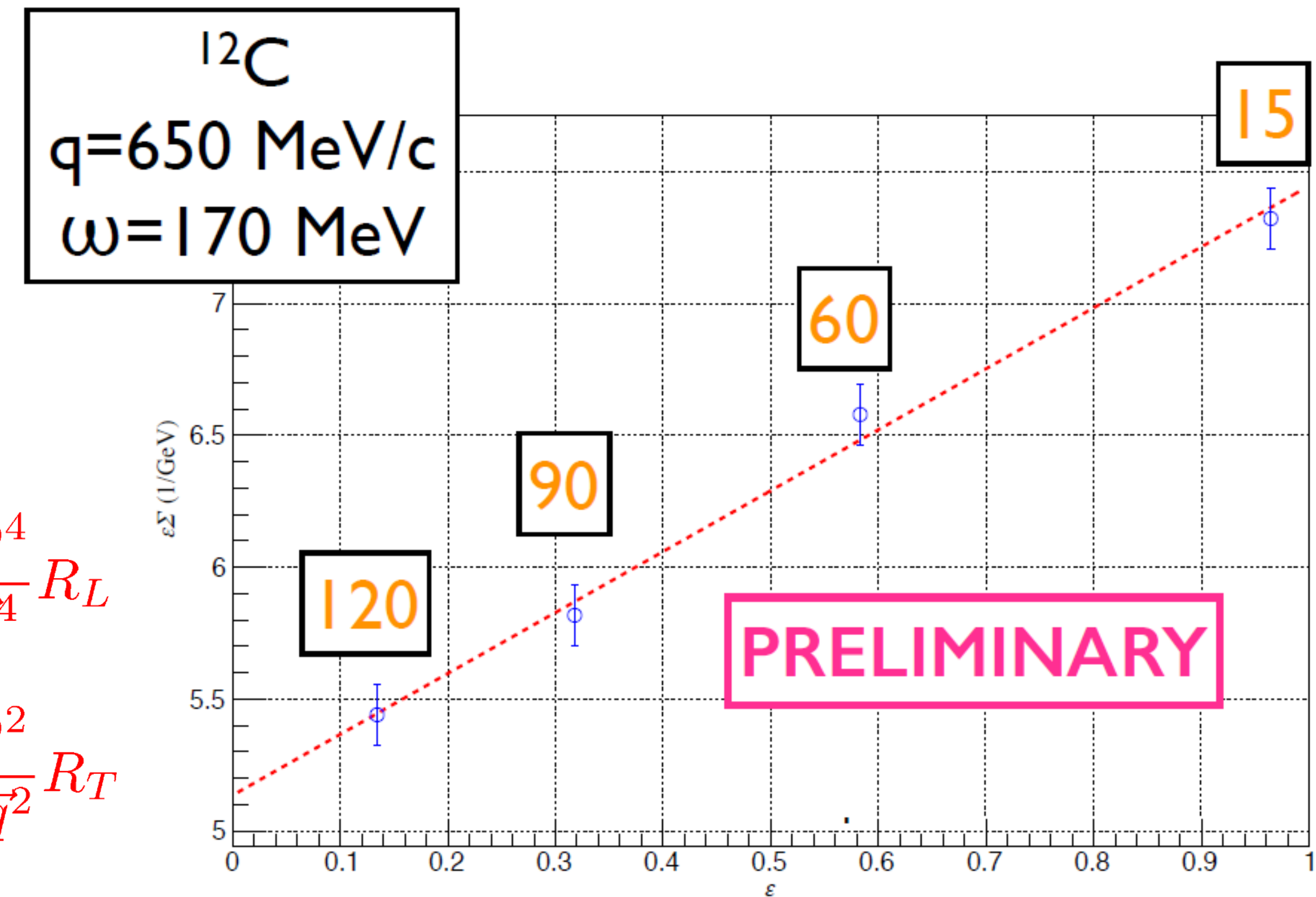
# EXPERIMENTAL DESIGN

- ▶ Need  $R_L$  → Use Rosenbluth separation!

$$S_L(|\mathbf{q}|) = \int_{\omega^+}^{|\mathbf{q}|} d\omega \frac{R_L(\omega, |\mathbf{q}|)}{Z\tilde{G}_{Ep}^2(Q^2) + N\tilde{G}_{En}^2(Q^2)}$$

$$\text{Slope} = \frac{Q^4}{\vec{q}^4} R_L$$

$$\text{Intercept} = \frac{Q^2}{2\vec{q}^2} R_T$$



- ▶ Experiment run at 4 angles per target: 15, 60, 90, 120 degs. Very large lever arm for precise calculation of  $R_L$ !
- ▶ Need data for each angle at a constant  $|\mathbf{q}|$  over an  $\omega$  range starting above the elastic peak up to  $|\mathbf{q}|$ .
  - ▶ When running a single arm experiment with fixed beam energy and scattering angle,  $|\mathbf{q}|$  is NOT constant over your momentum acceptance.
  - ▶ Need to take data at varying beam energies, and “map-out”  $|\mathbf{q}|$  and  $\omega$  space.

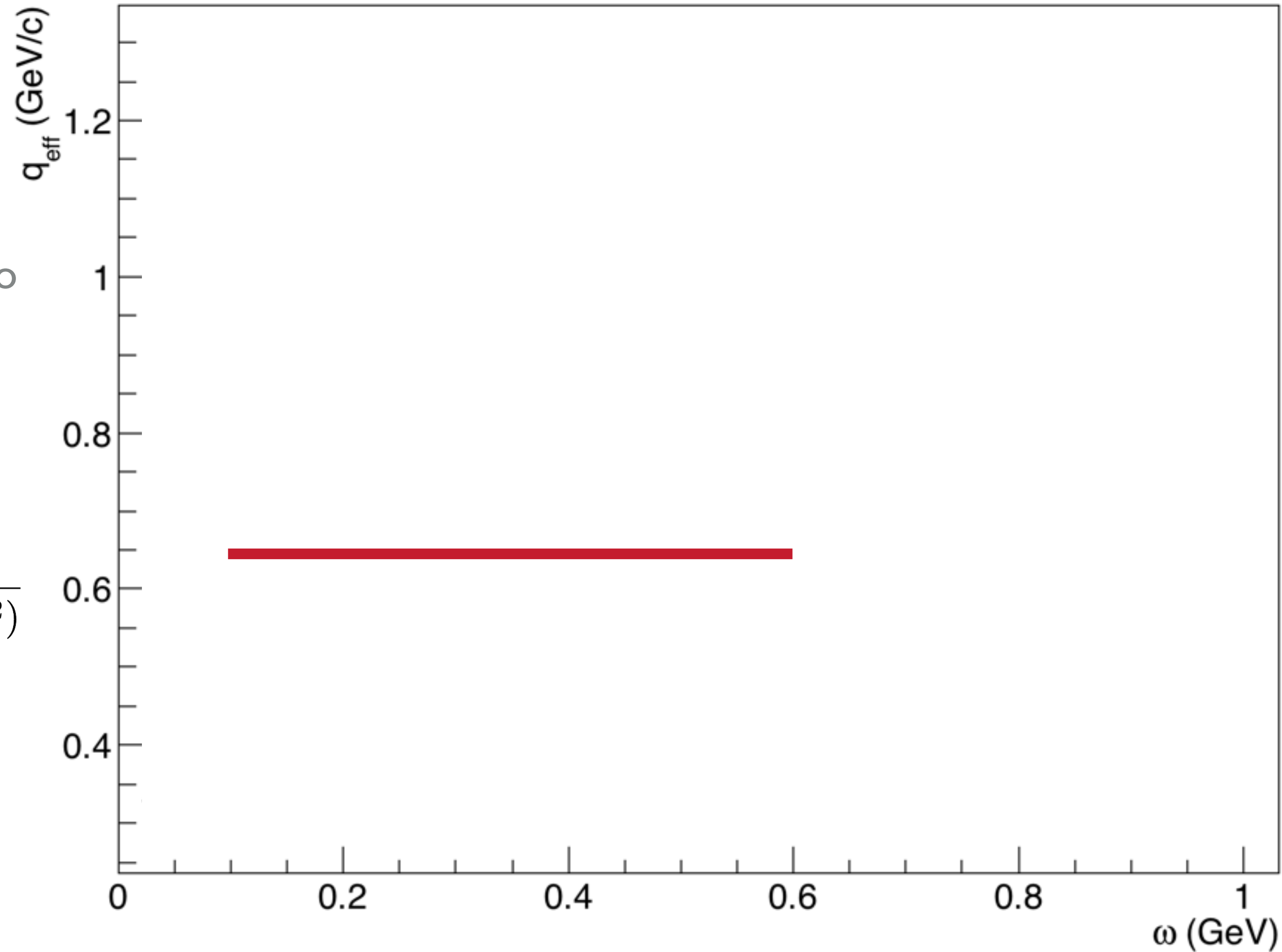


## EXPERIMENTAL DESIGN

- ▶ If one wants to measure from 100 to 600 MeV  $\omega$  at constant  $|\mathbf{q}| = 650$  MeV/c

CSR calculated at constant  $|\mathbf{q}|$  !!

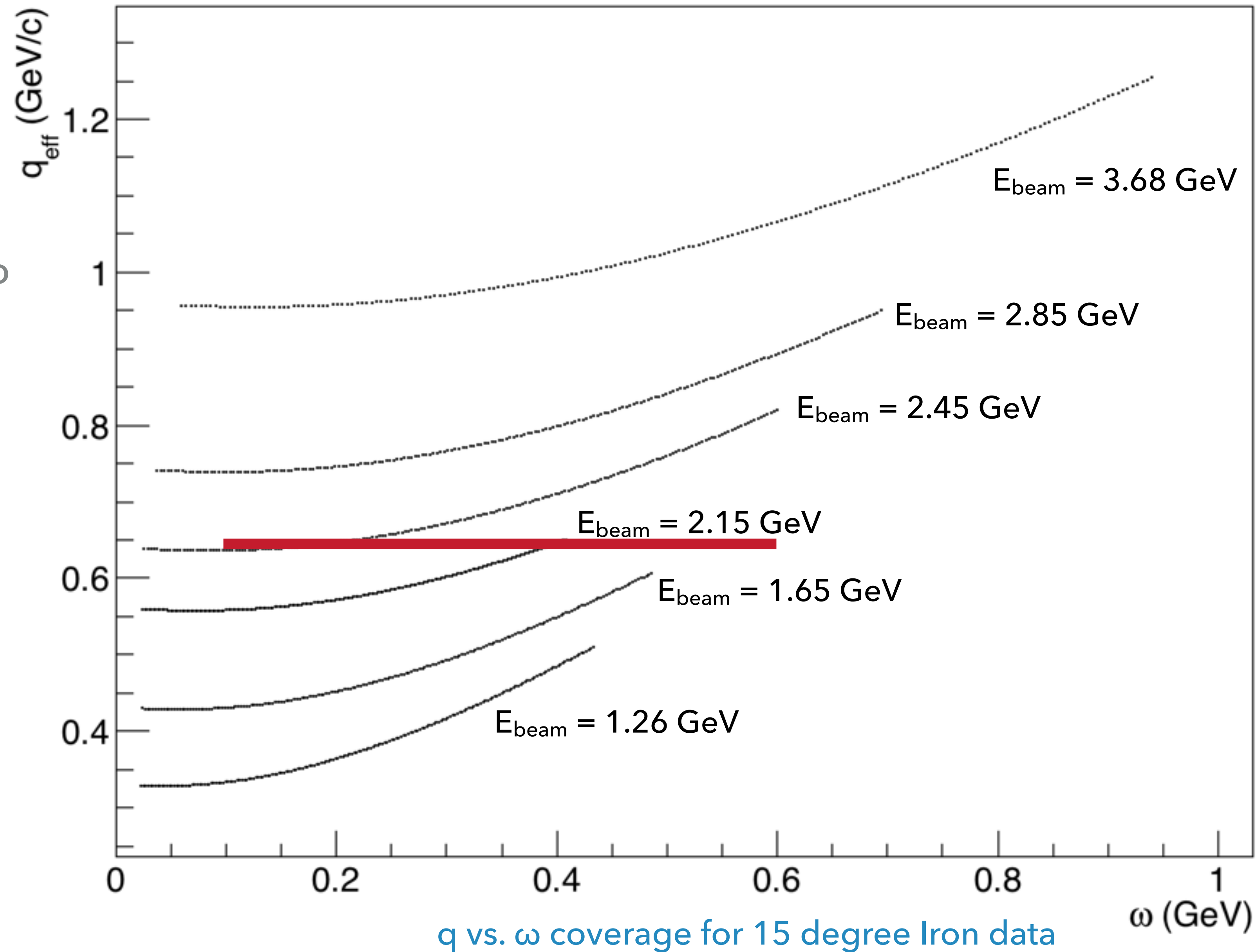
$$S_L(|\mathbf{q}|) = \int_{\omega_+}^{|\mathbf{q}|} d\omega \frac{R_L(\omega, |\mathbf{q}|)}{Z\tilde{G}_{Ep}^2(Q^2) + N\tilde{G}_{En}^2(Q^2)}$$





## EXPERIMENTAL DESIGN

- ▶ If one wants to measure from 100 to 600 MeV  $\omega$  at constant  $|q| = 650$  MeV/c
- ▶ Take data at different beam energies, and interpolate to determine cross-section at constant  $|q|$ .

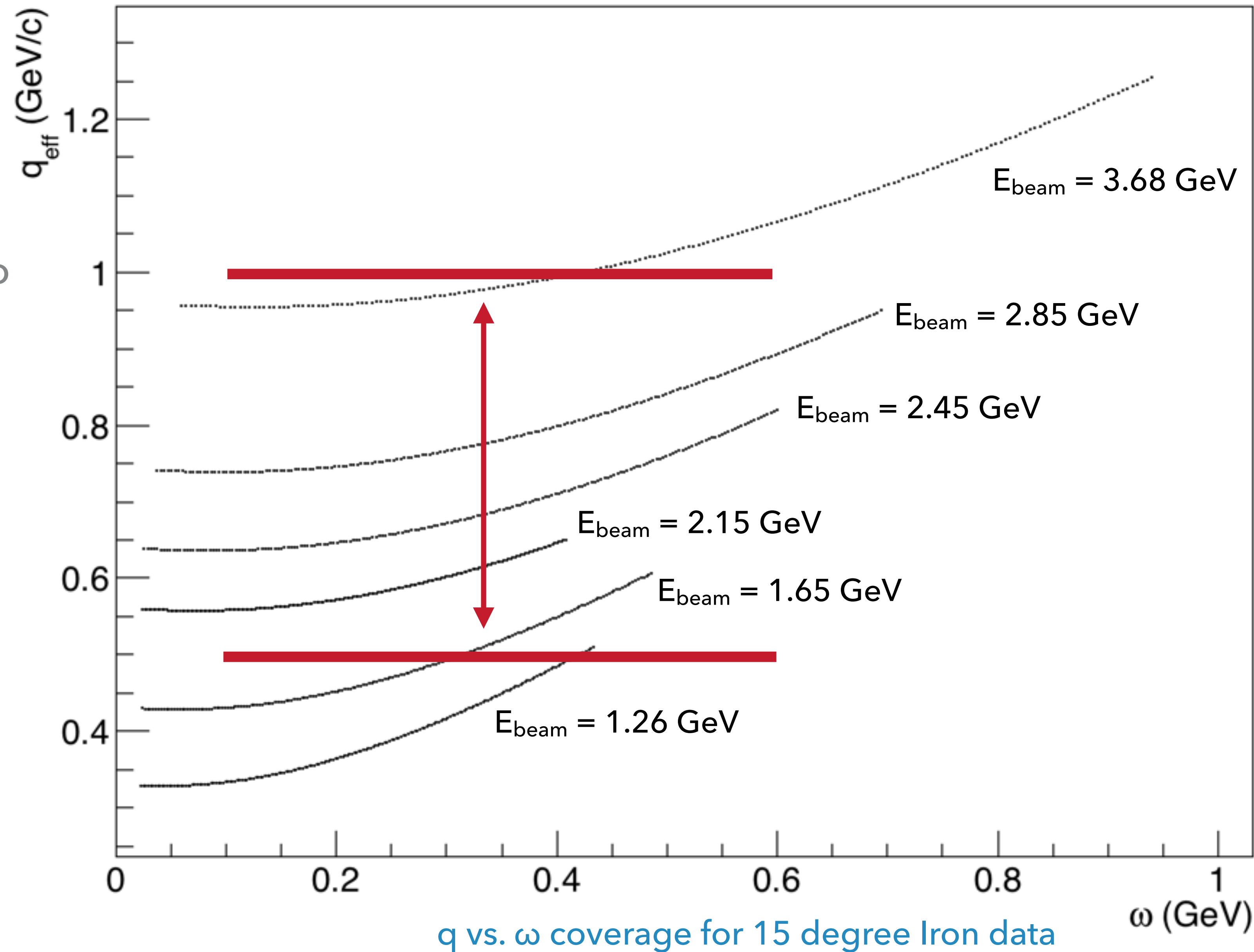




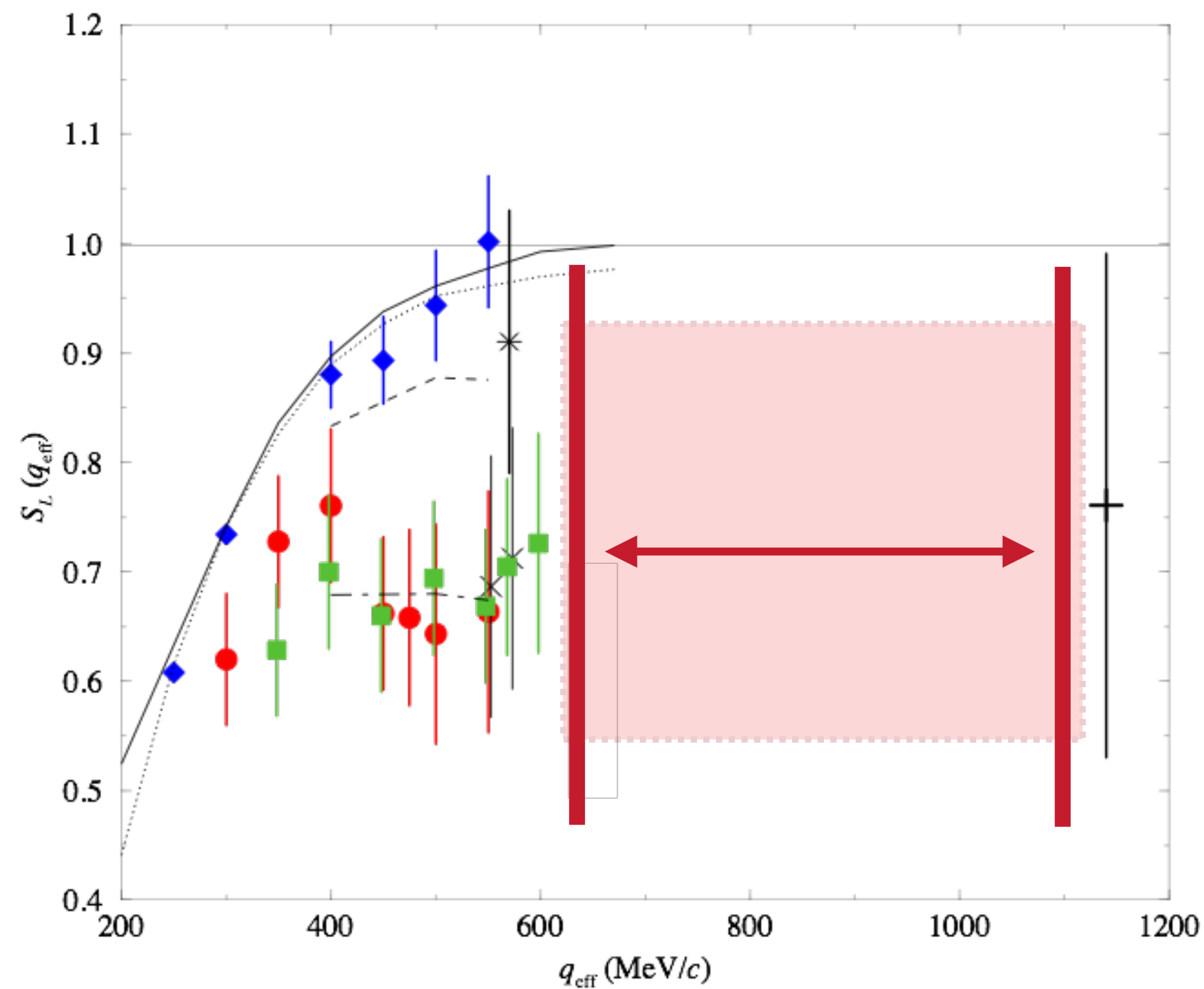
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- ▶ Take data at different beam energies, and interpolate to determine cross-section at constant  $|q|$ .
- ▶  $|q|$  can be selected between 550 and 1000 MeV/c

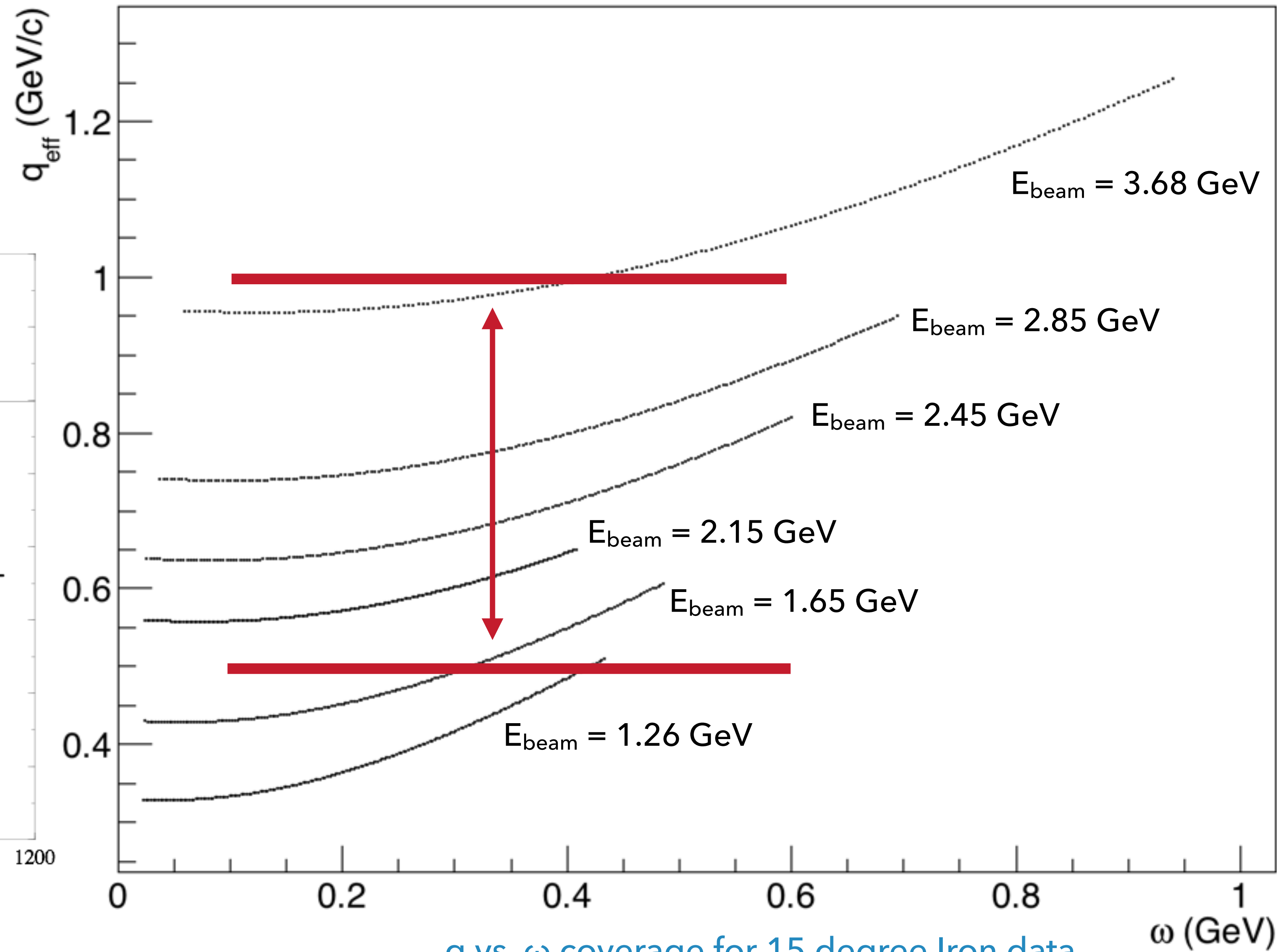
Repeat this “mapping” for 60, 90, and 120 degree spectrometer central angles.



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$q$  vs.  $\omega$  coverage for 15 degree Iron data

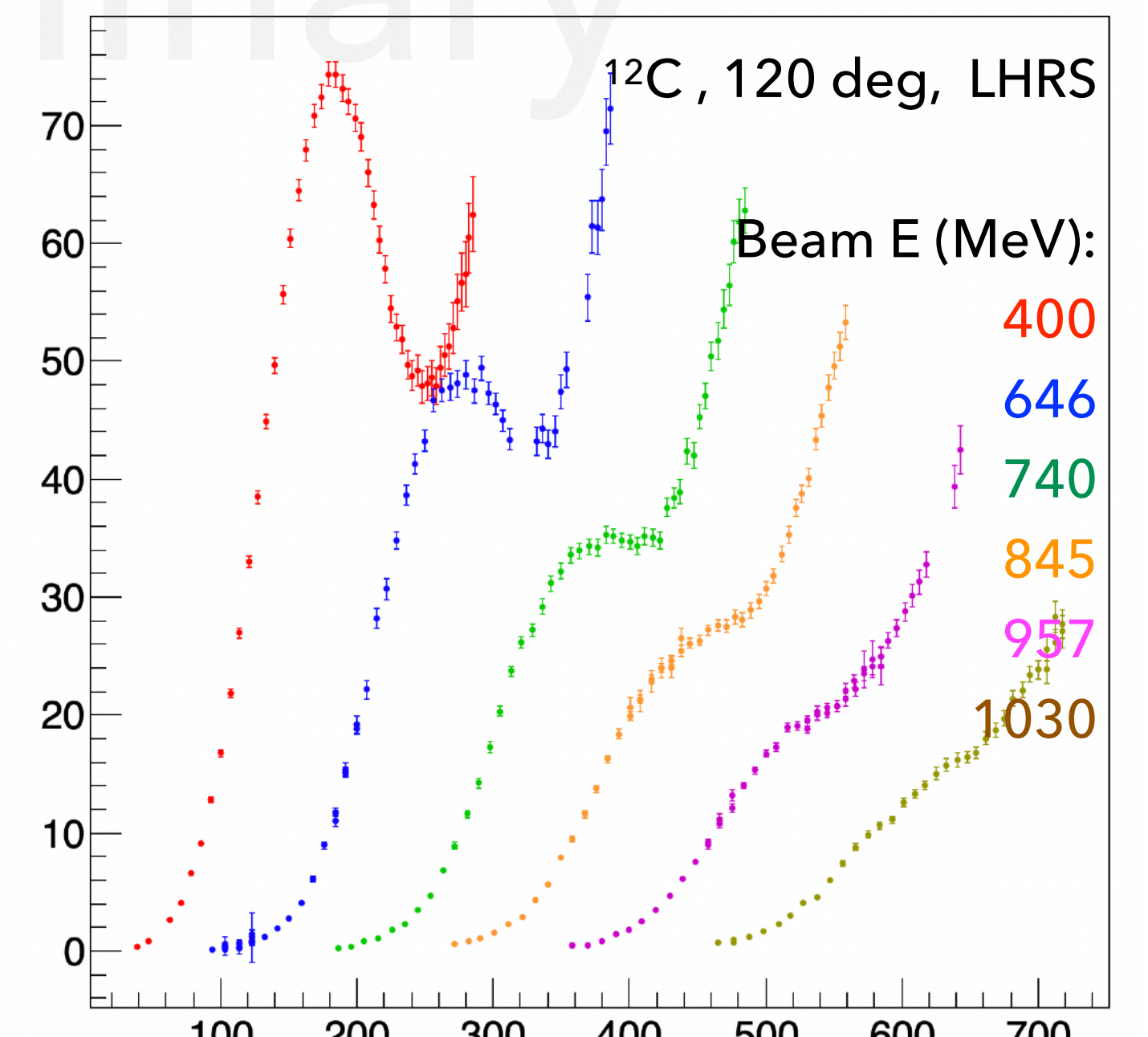
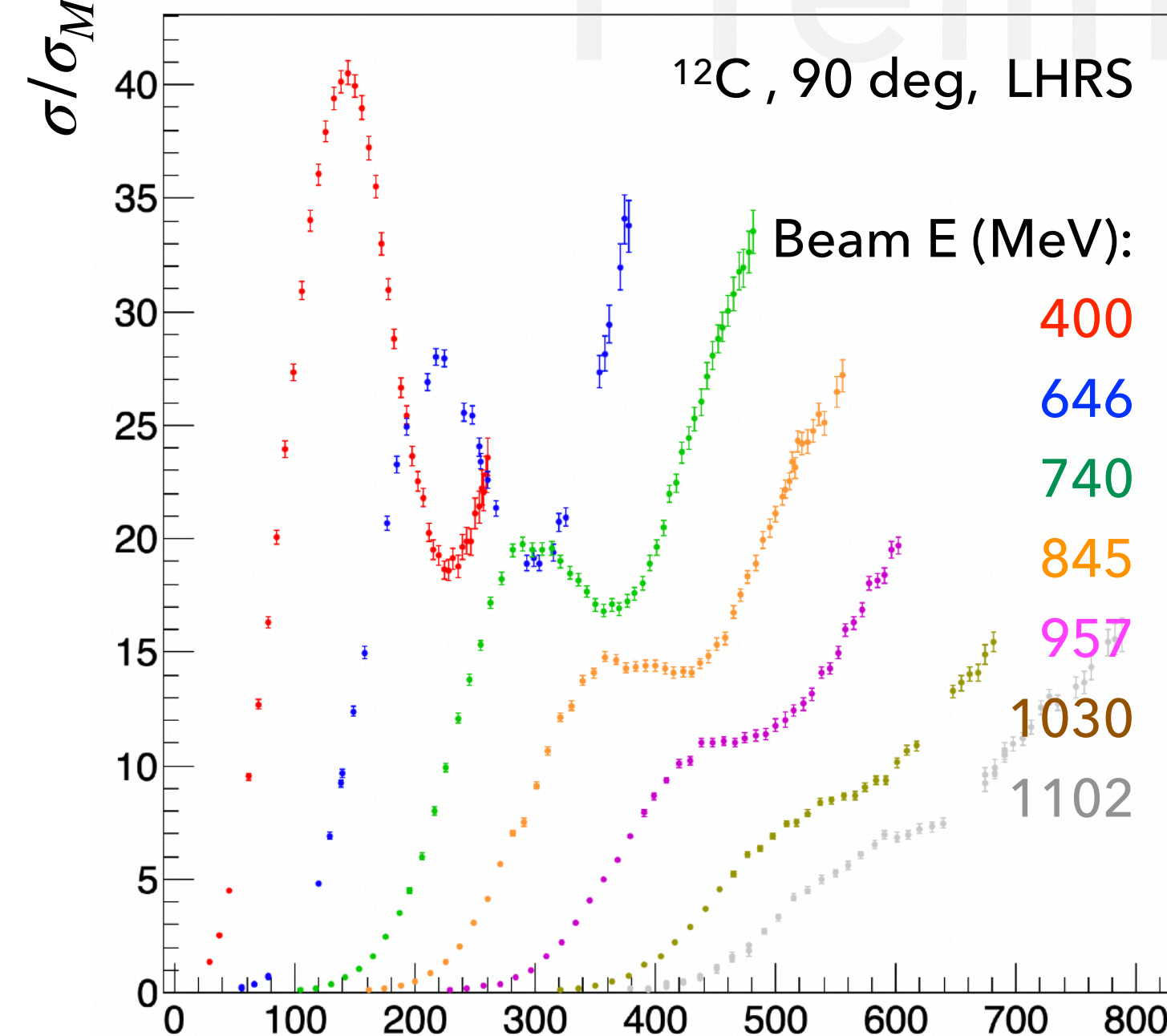
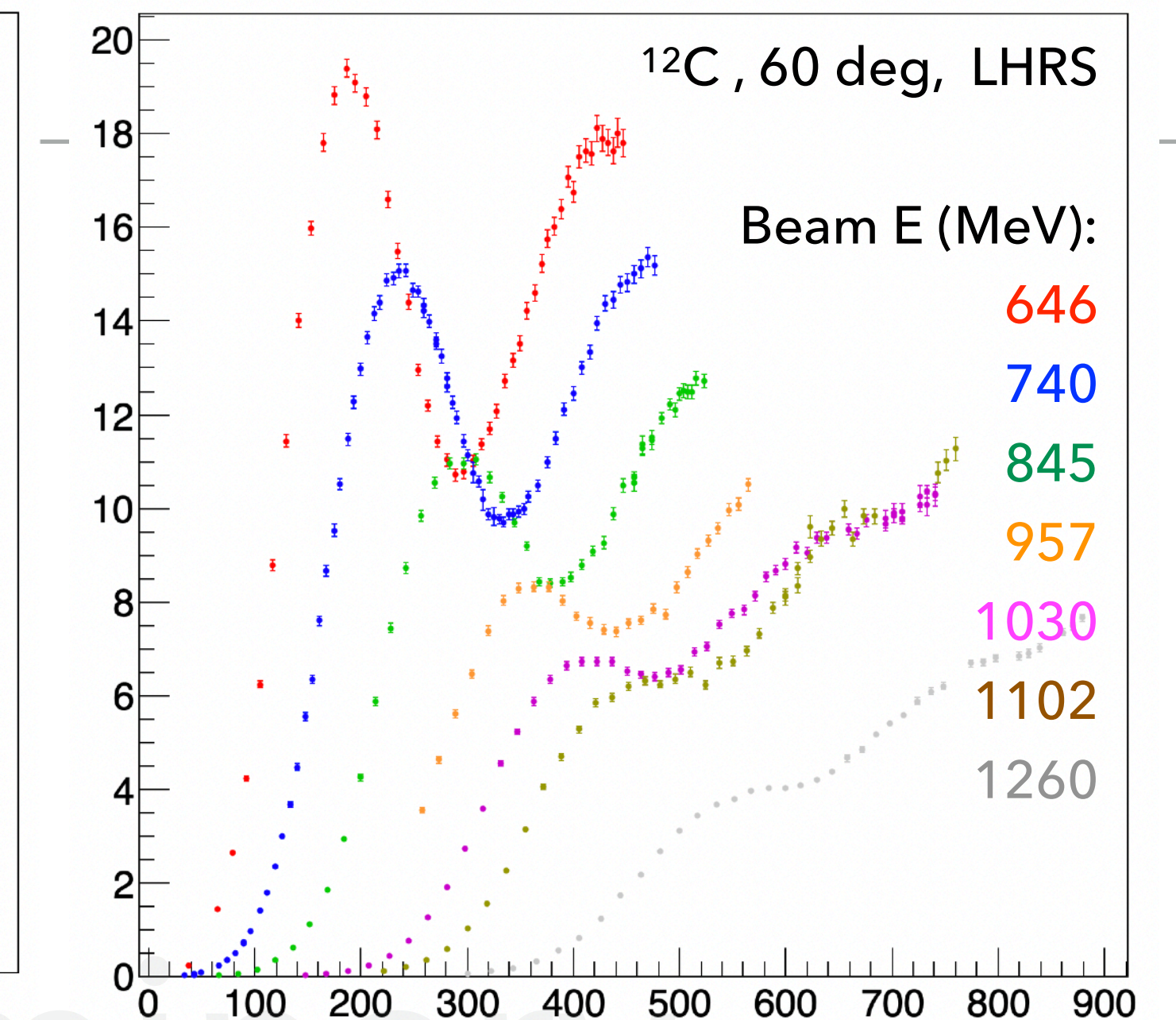
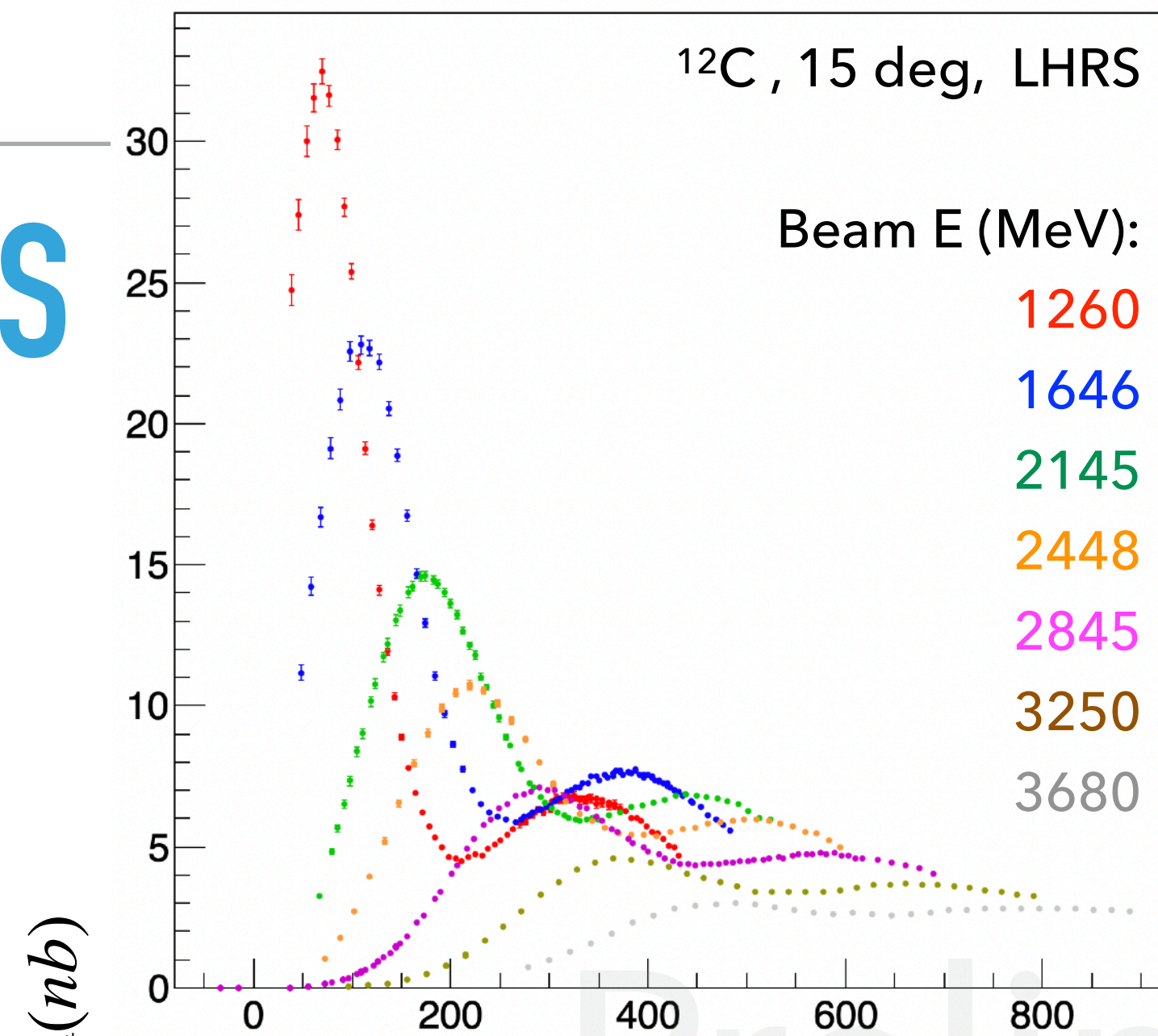


## THE COULOMB SUM RULE IN NUCLEI

# EXPERIMENTAL SPECIFICS

### ► E05-110:

- Data taken from October 23rd 2007 to January 16th 2008
- 4 central angle settings: 15, 60, 90, 120 degs.
- Many beam energy settings: 0.4 to 4.0 GeV
- Many central momentum settings: 0.1 to 4.0 GeV
- LHRS and RHRS independent (redundant) measurements for most settings
- 4 targets:  $^4\text{He}$ ,  $^{12}\text{C}$ ,  $^{56}\text{Fe}$ ,  $^{208}\text{Pb}$ .



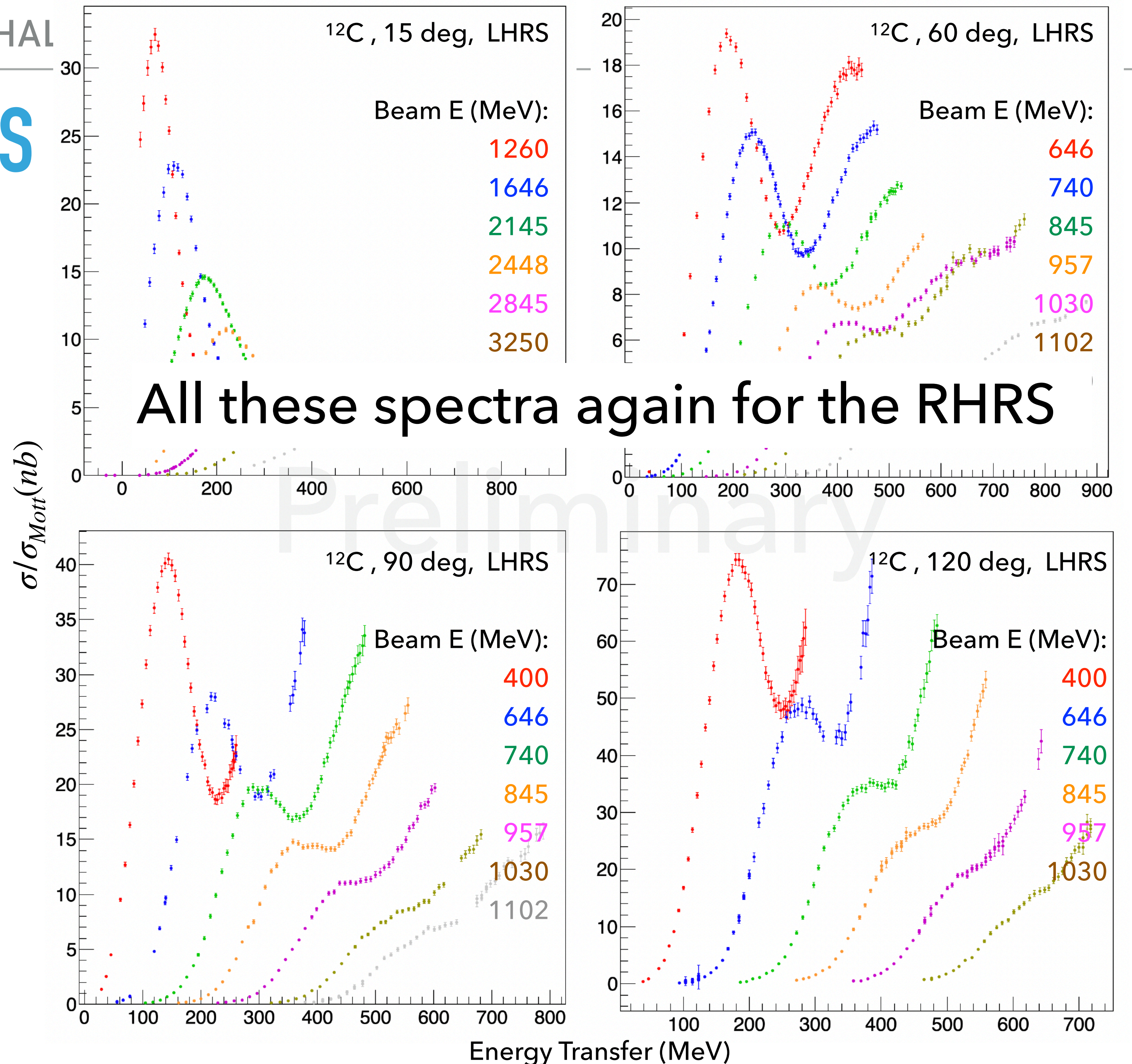
Energy Transfer (MeV)



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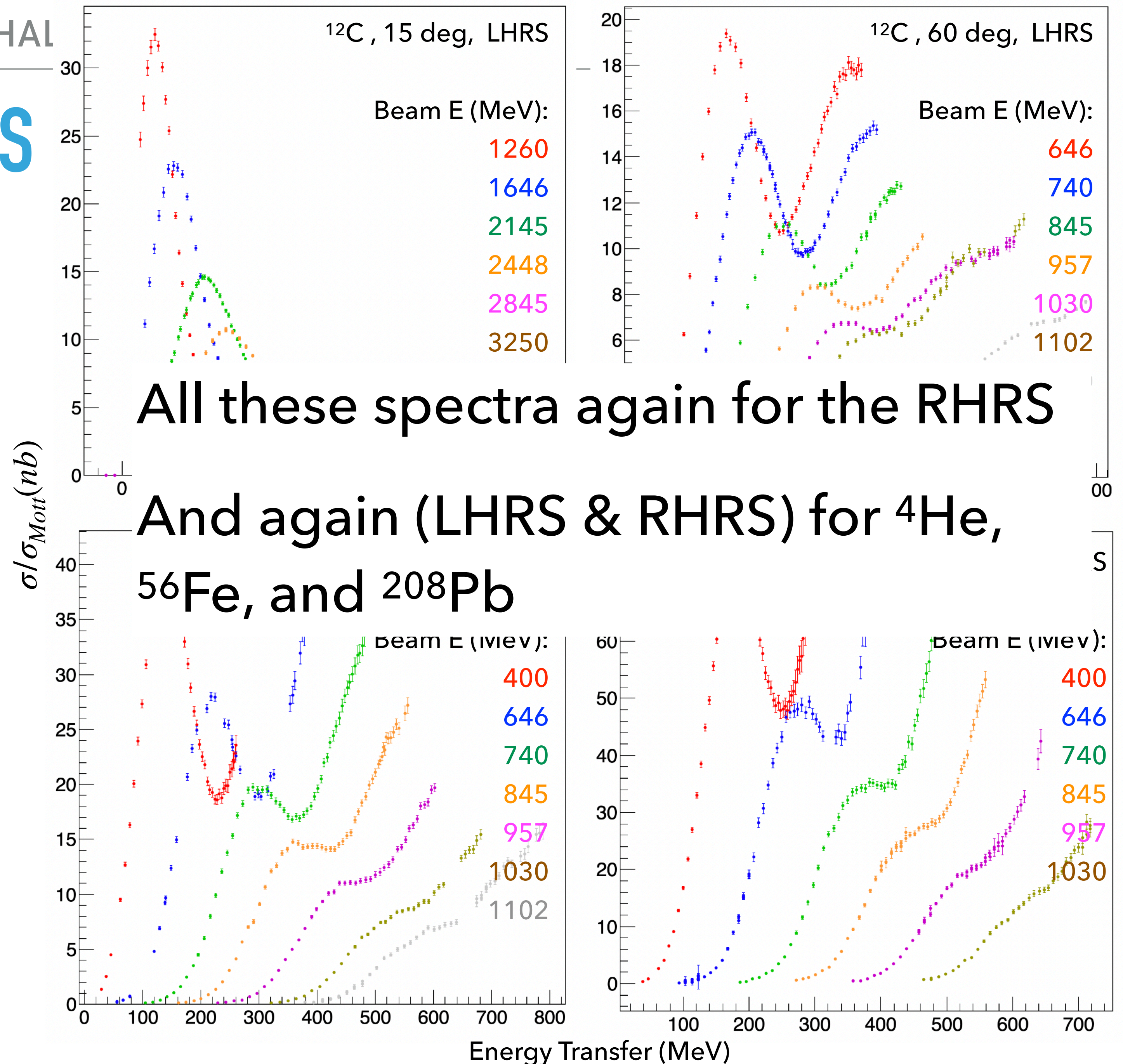




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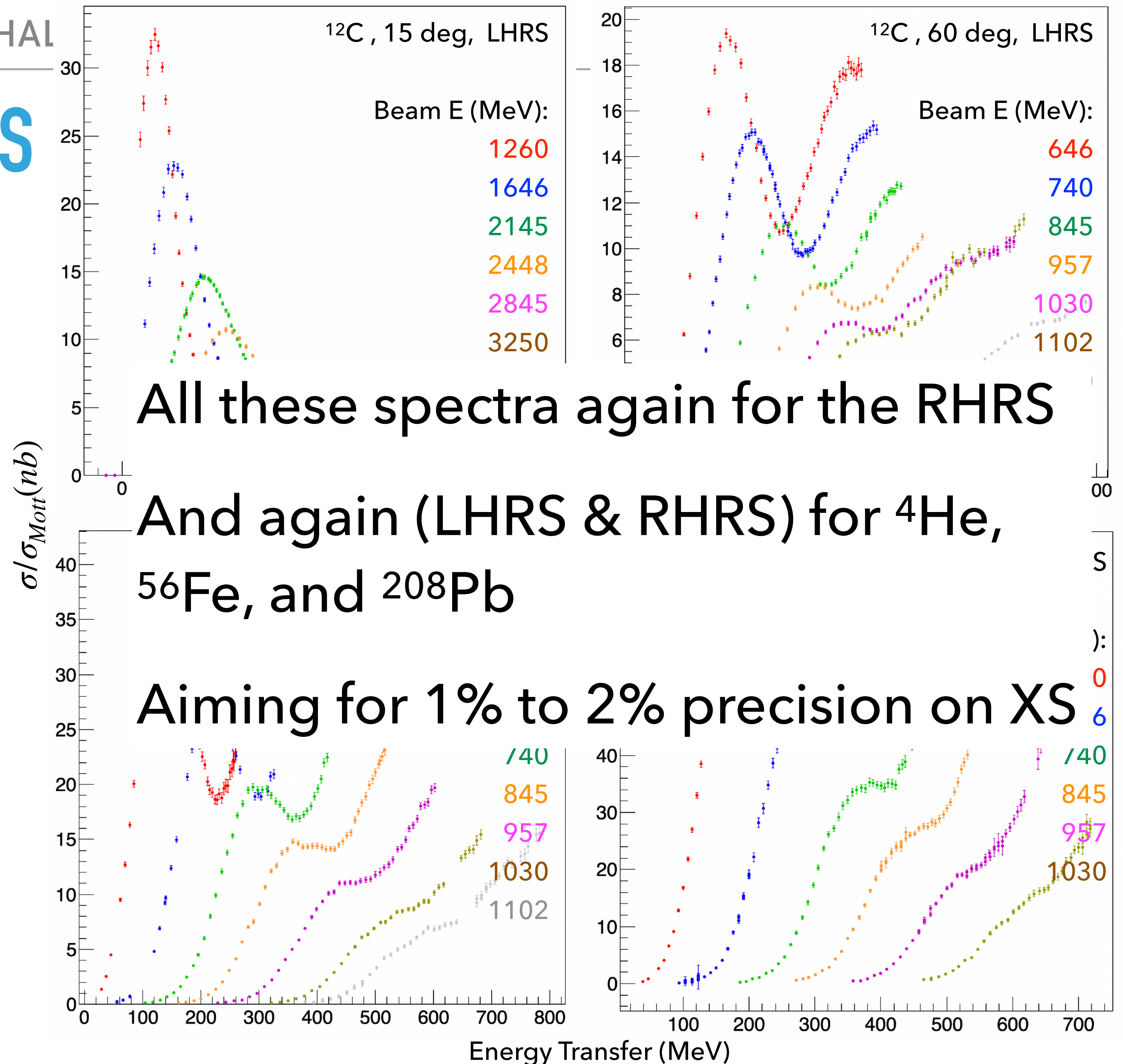




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## MEAN COULOMB POTENTIAL AND EMA

- ▶ An effective momentum approximation (EMA) takes into account the mean field potential of the target nucleus during quasi-elastic scattering.

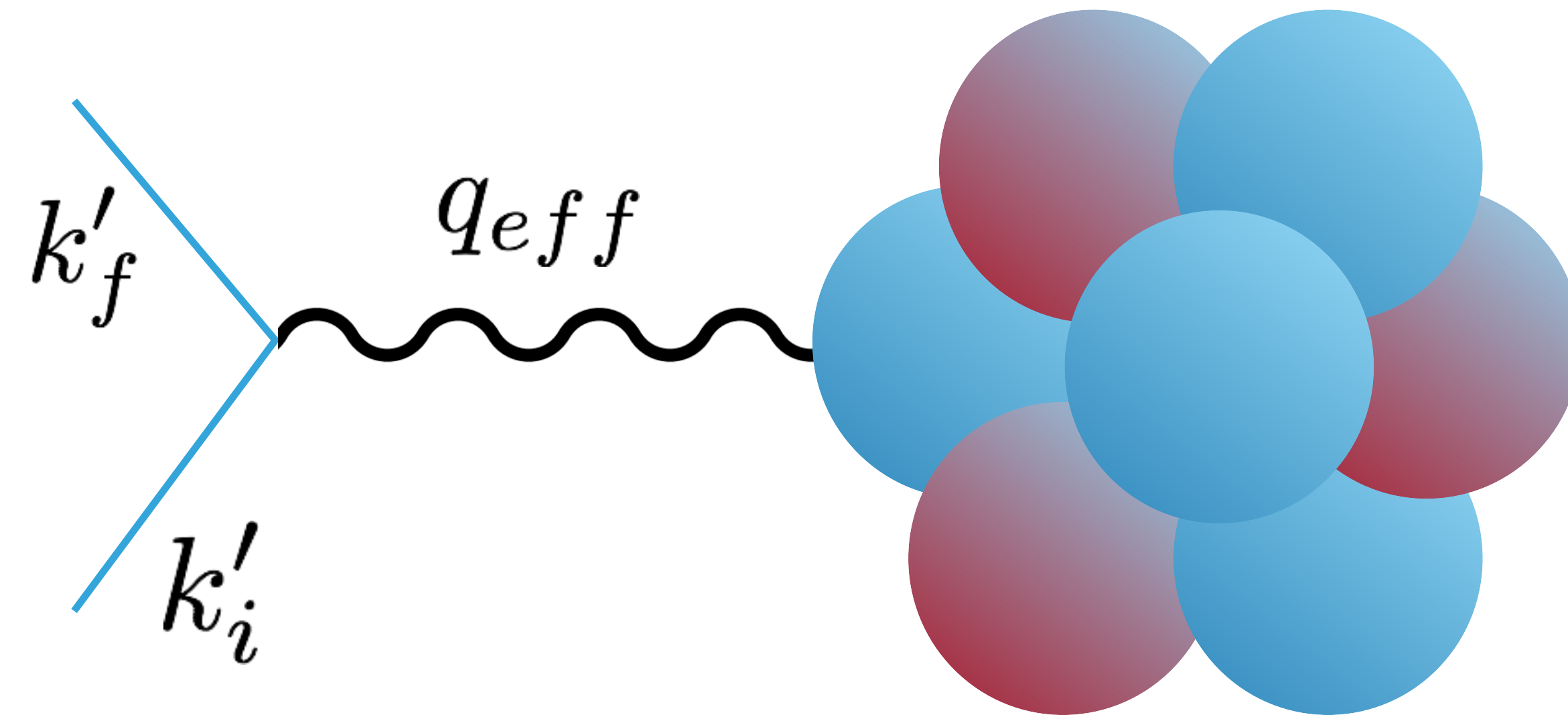
$$k'_i = k_i - \kappa_A \frac{V_0}{c} \quad k'_f = k_f - \kappa_A \frac{V_0}{c}$$

~ 0.75 to 0.8

$$\omega' = (k'_i - k'_f) = (k_i - k_f) = \omega$$

$$Q'^2 = 4(k'_i)(k'_f) \sin^2 \theta / 2$$

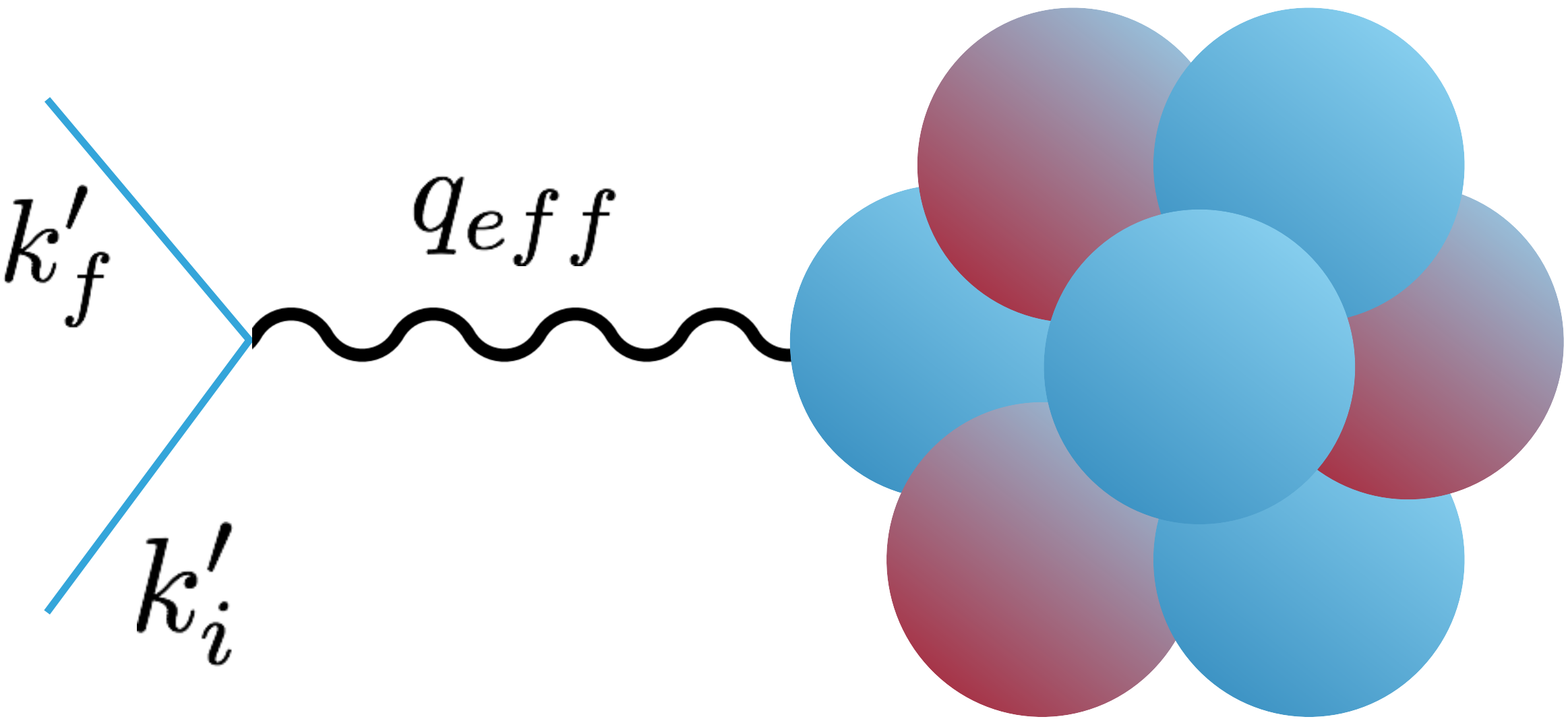
$$q_{eff} = \sqrt{\omega^2 + Q'^2}$$



Nucleus	$V_0$ (MeV)
$^{12}\text{C}$	3.46 +/- 0.11
$^{56}\text{Fe}$	9.80 +/- 0.32
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- ▶ For  $^{208}\text{Pb}$ , the EMA is less reliable and full calculations of the coulomb potential will be needed.
- ▶ For  $^{56}\text{Fe}$ , a study of the validity of the approximation (especially at lowest beam energies and central momenta) would be extremely useful.



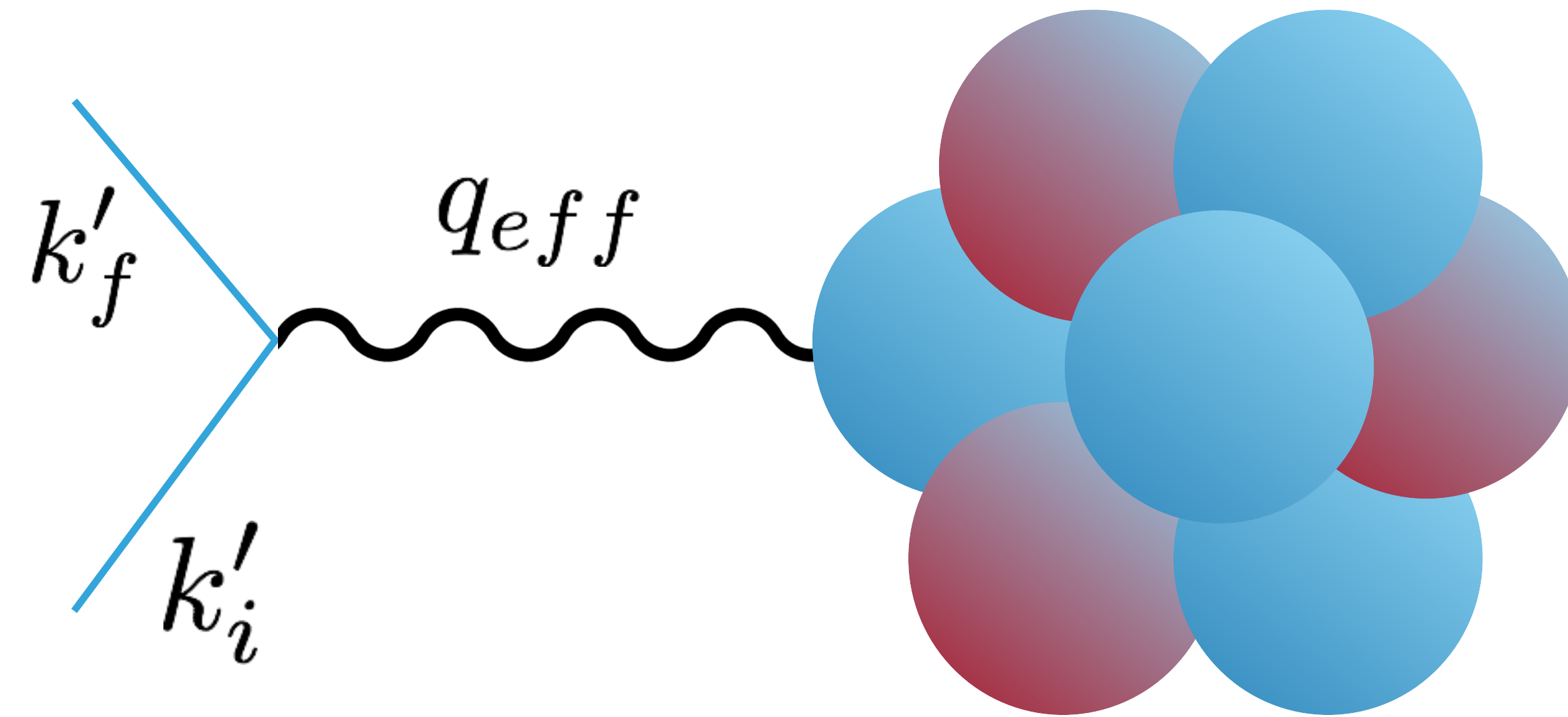
$$V_0 = \frac{3\alpha Z}{2r_c}$$

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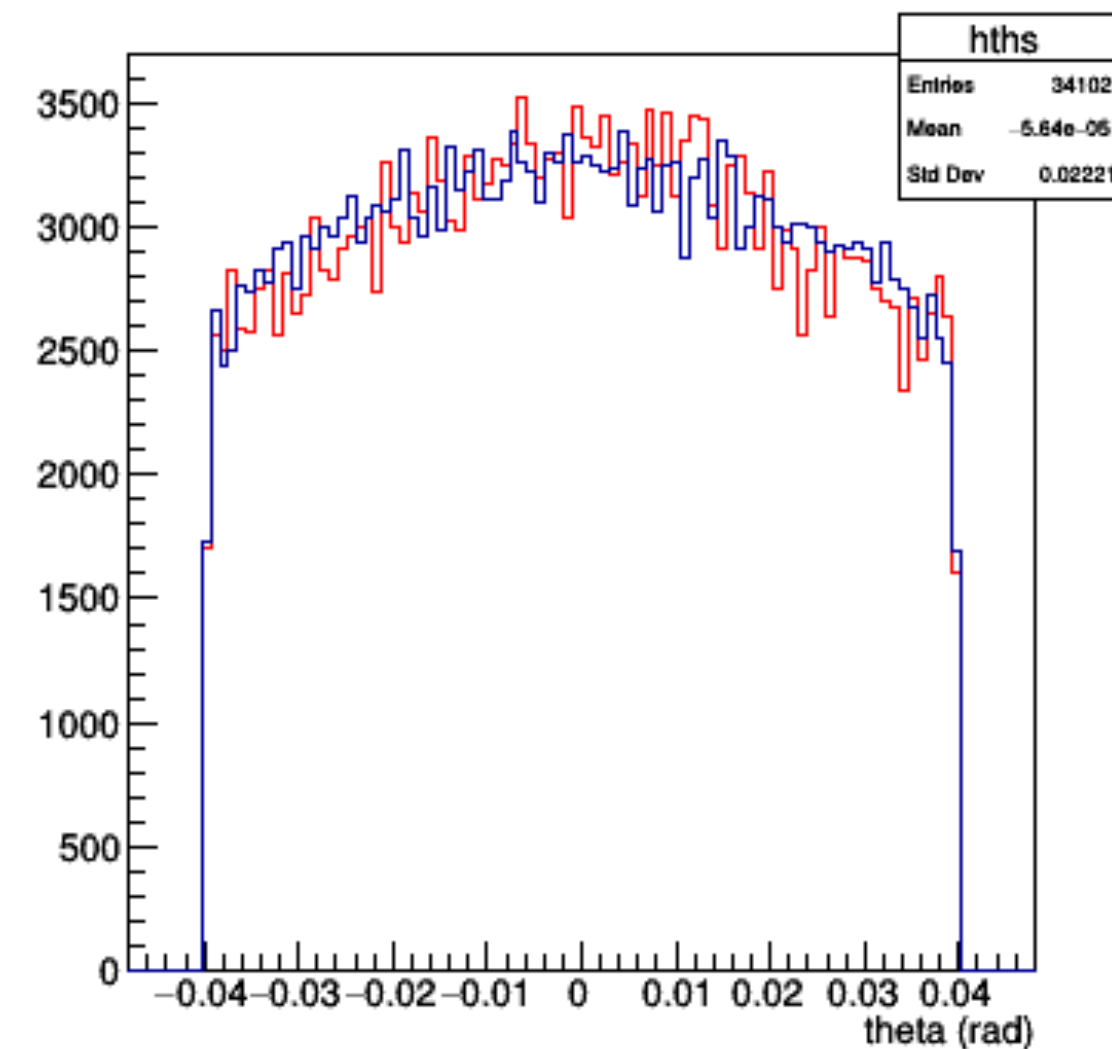
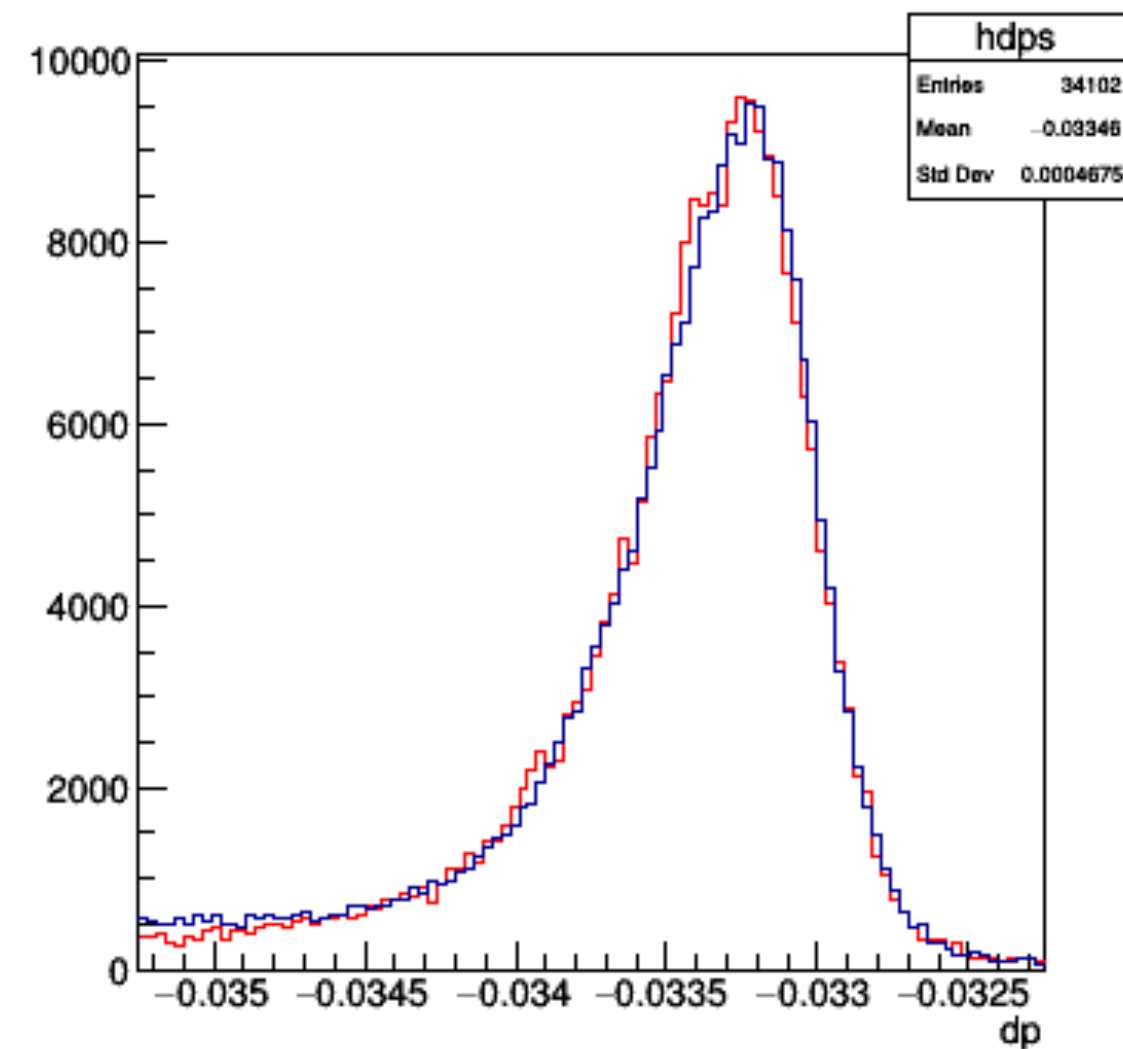


When scattering with positrons, we effectively change the sign of the mean potential

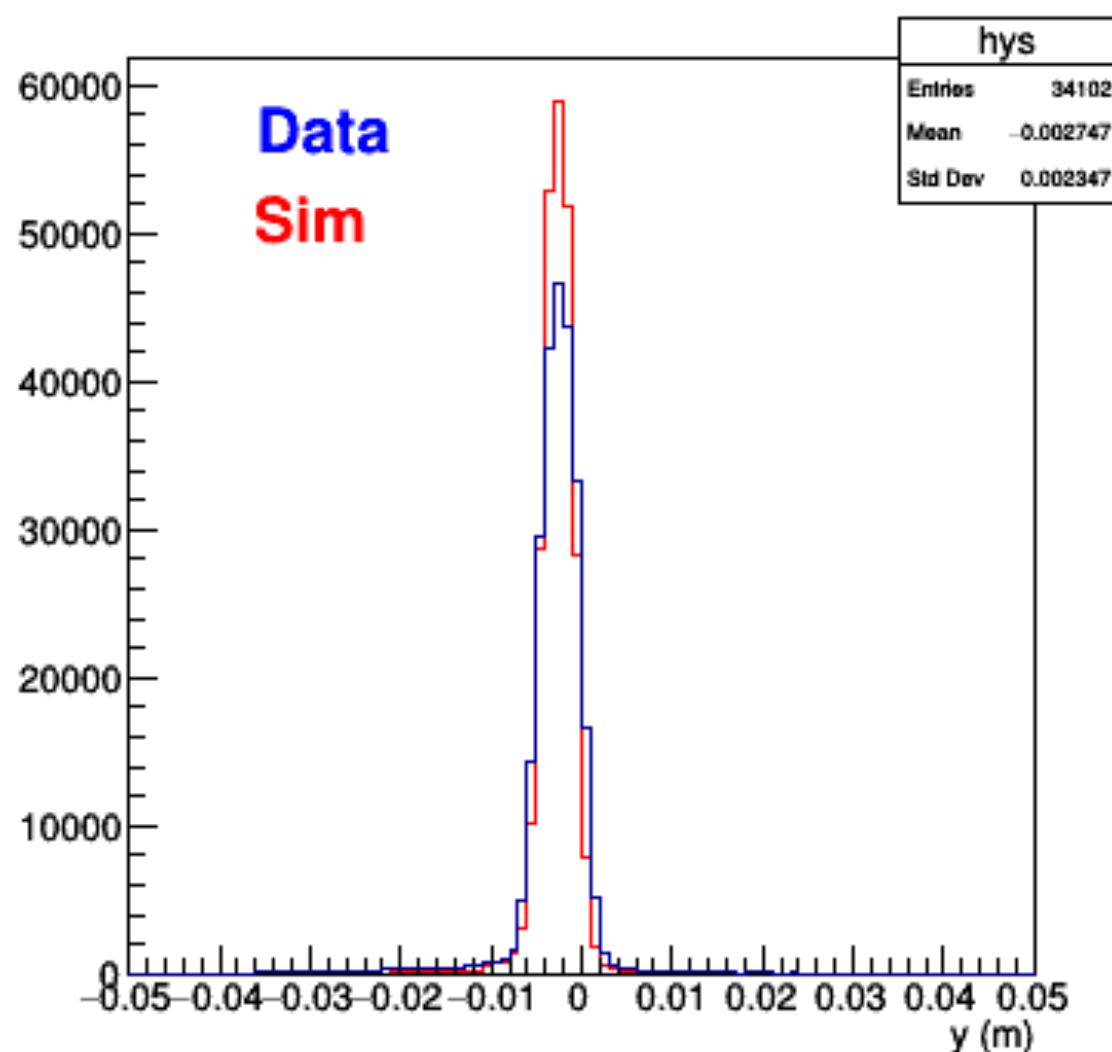
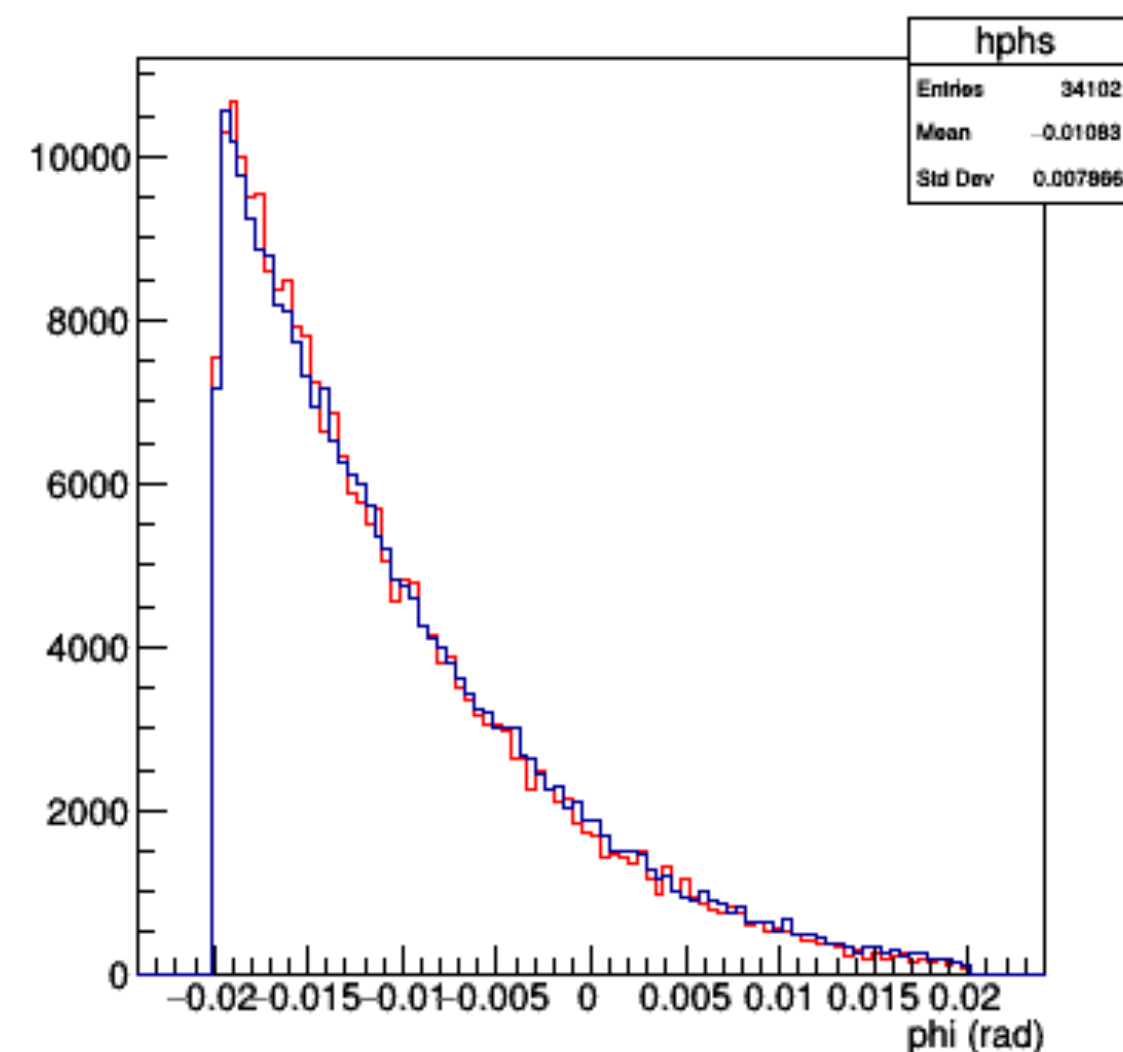
$$V_0 = \frac{3\alpha Z}{2r_c}$$

**An  $e^+$  beam at JLab would allow a very detailed study of coulomb corrections!**

# ELASTIC XS CALCULATIONS, AND ELASTIC TAIL CORRECTIONS



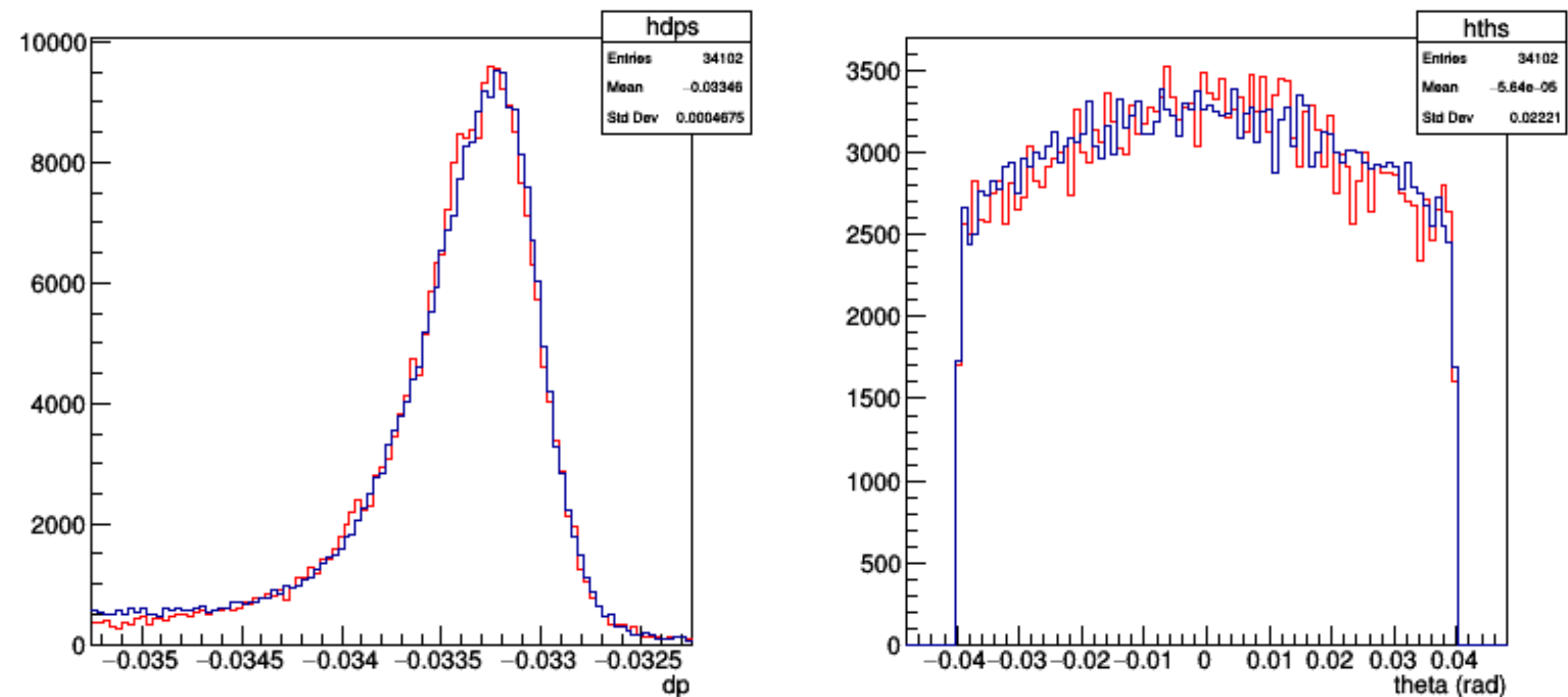
**$^{12}\text{C}$  elastic XS at 1260 MeV, 15 degrees**



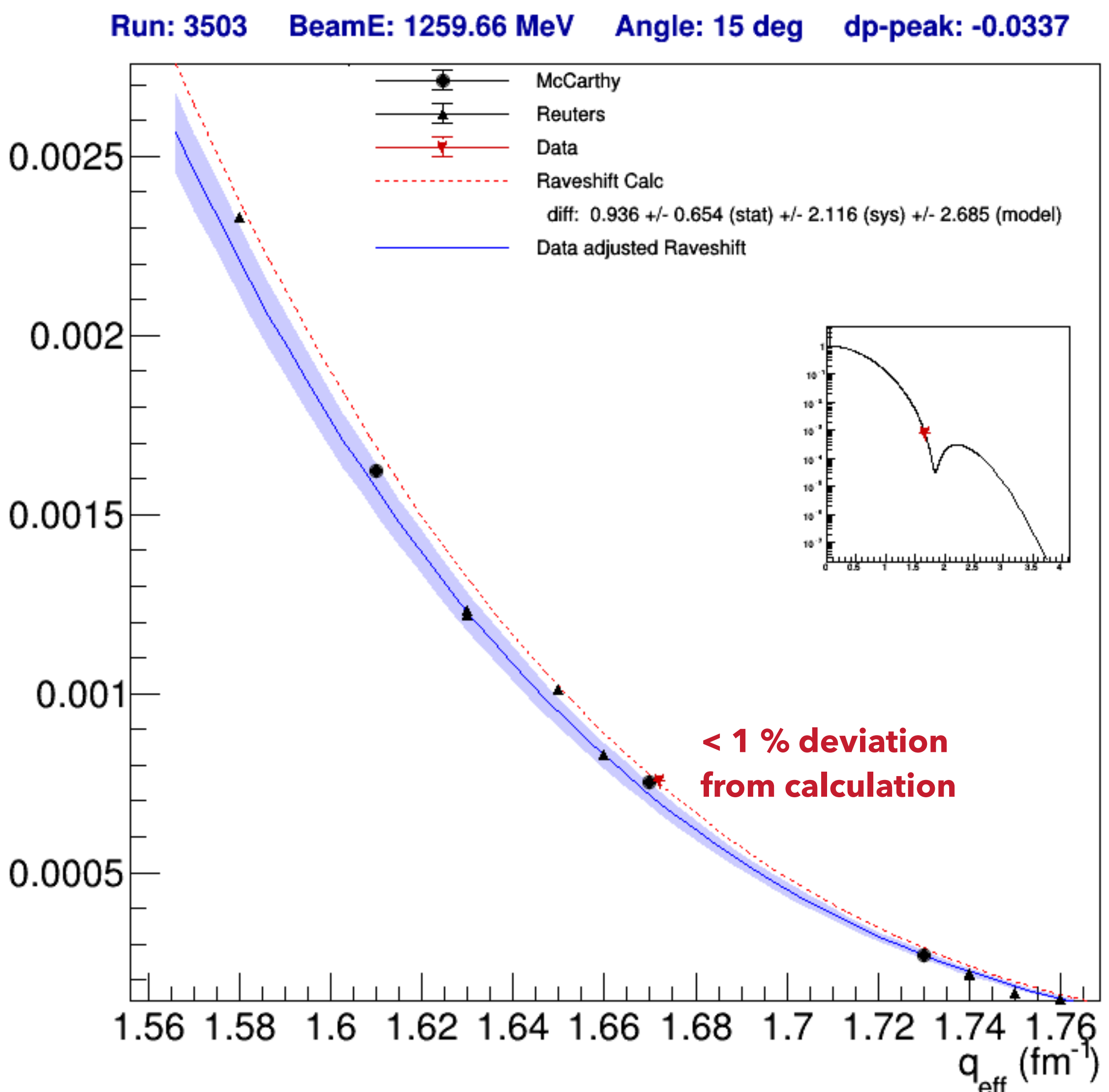
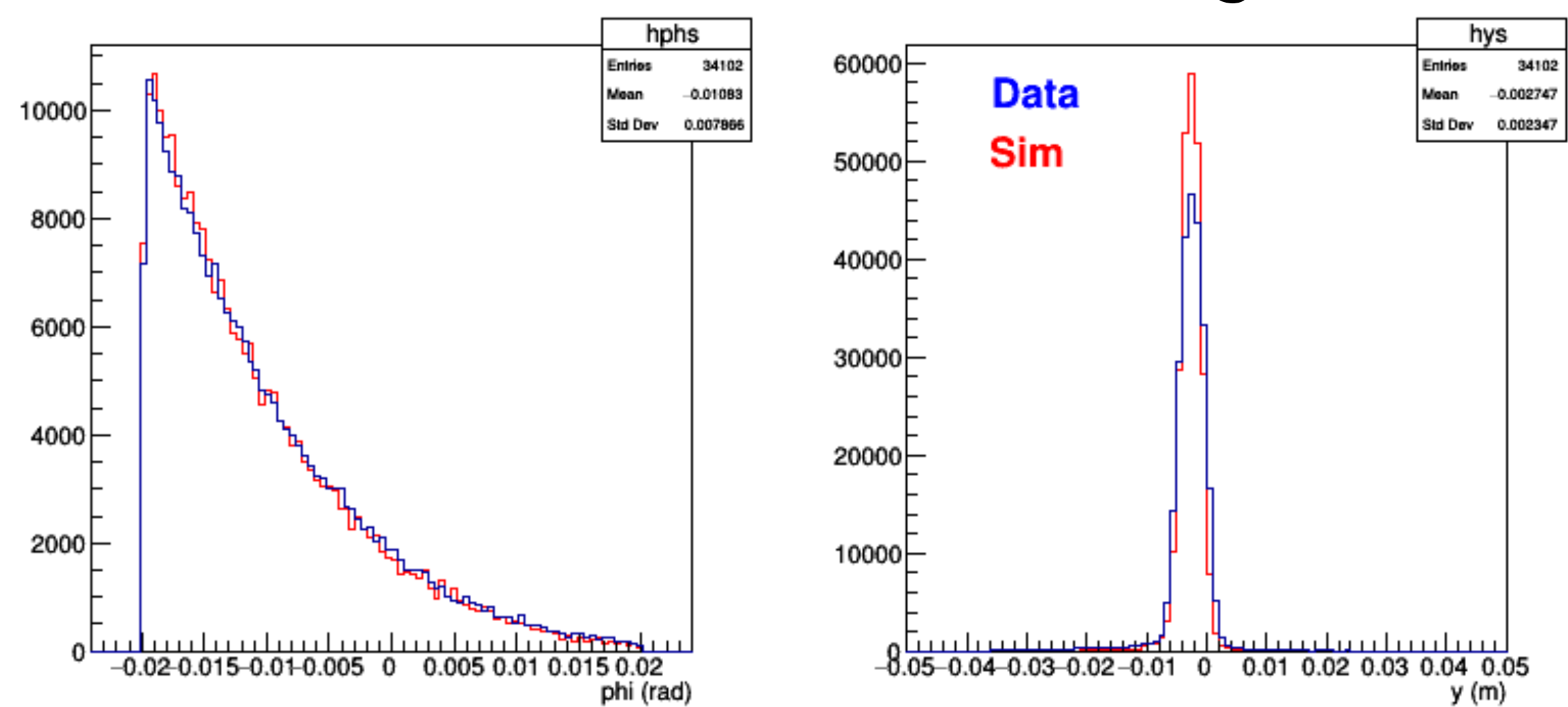
- ▶ Blue histograms are reconstructed data.
- ▶ Red histograms are monte-carlo:
  - ▶ Event sample generated from expected XS calculations (Fourier-Bessel fit to world data)
  - ▶ Radiative effects (internal, external, vertex) are handled, including exact bremsstrahlung distributions.
  - ▶ Resolution effects are applied by calculating the expected material effects of tracks passing through the VDC chamber materials.



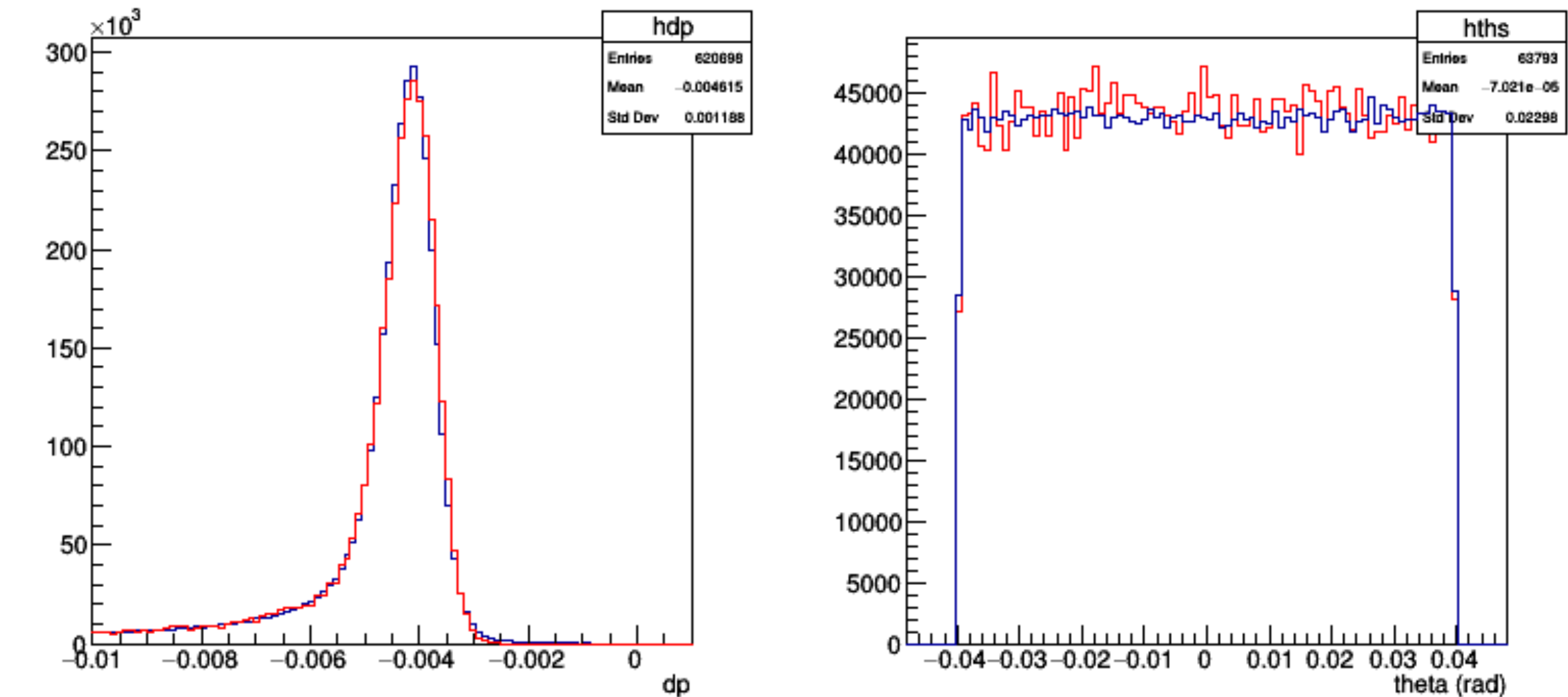
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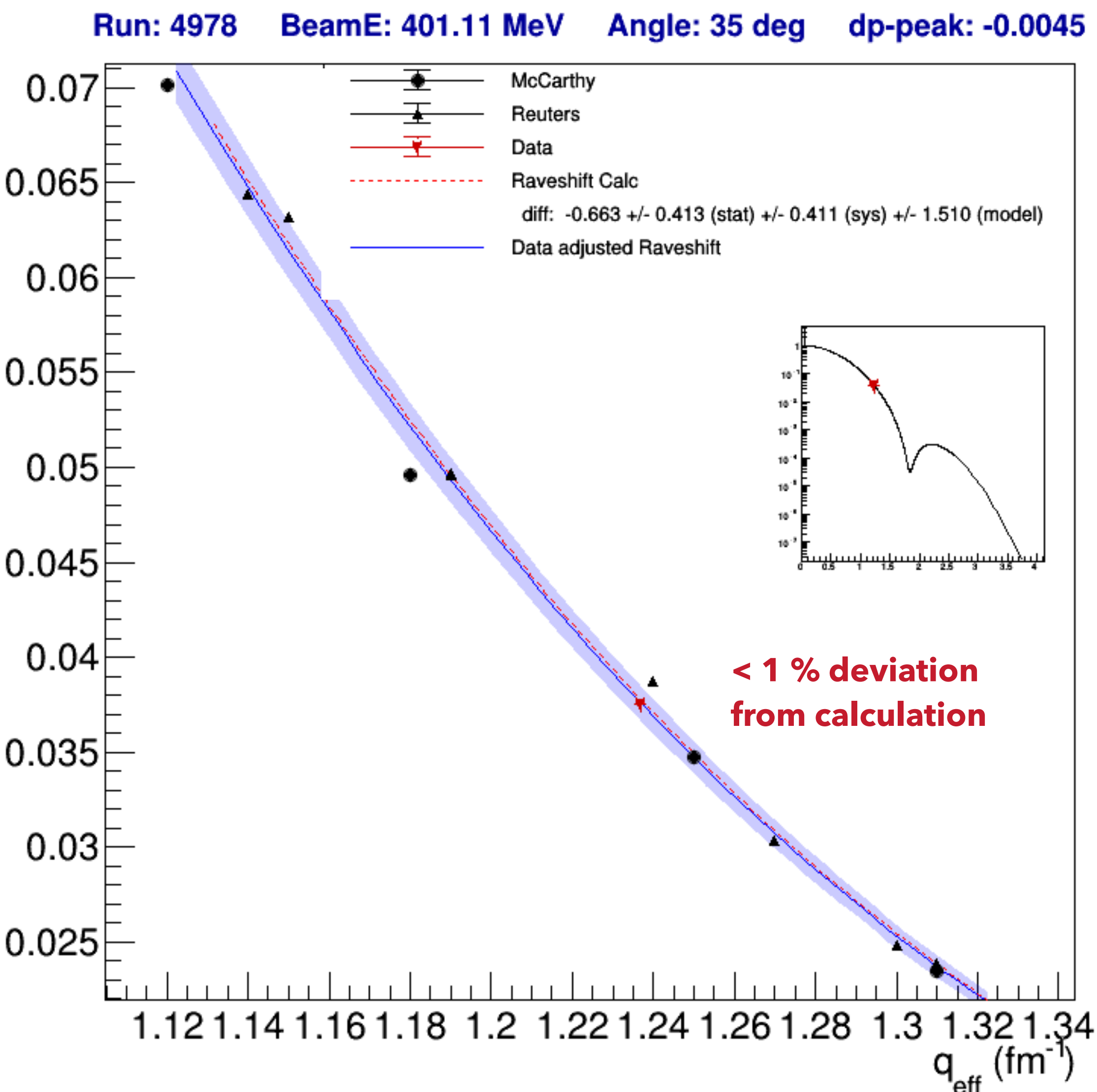
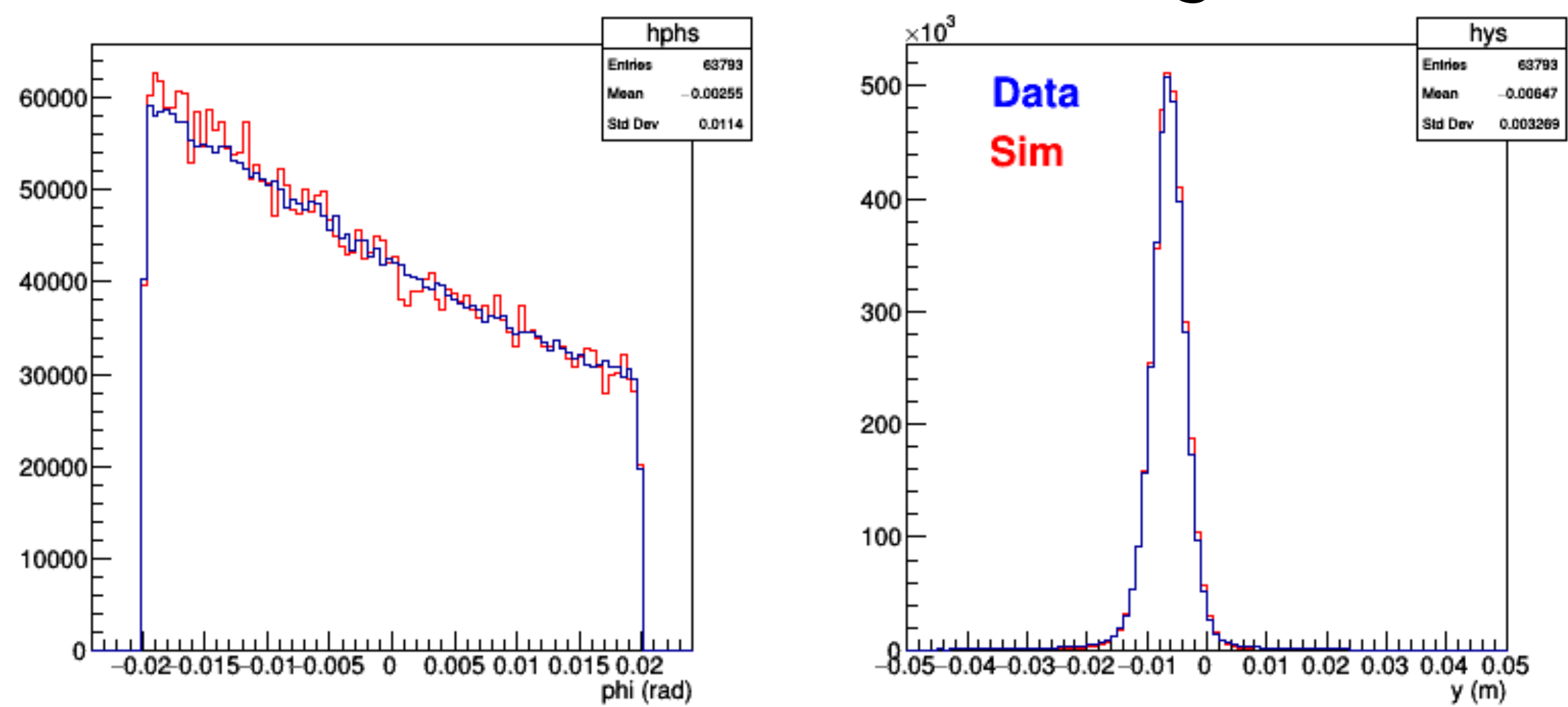
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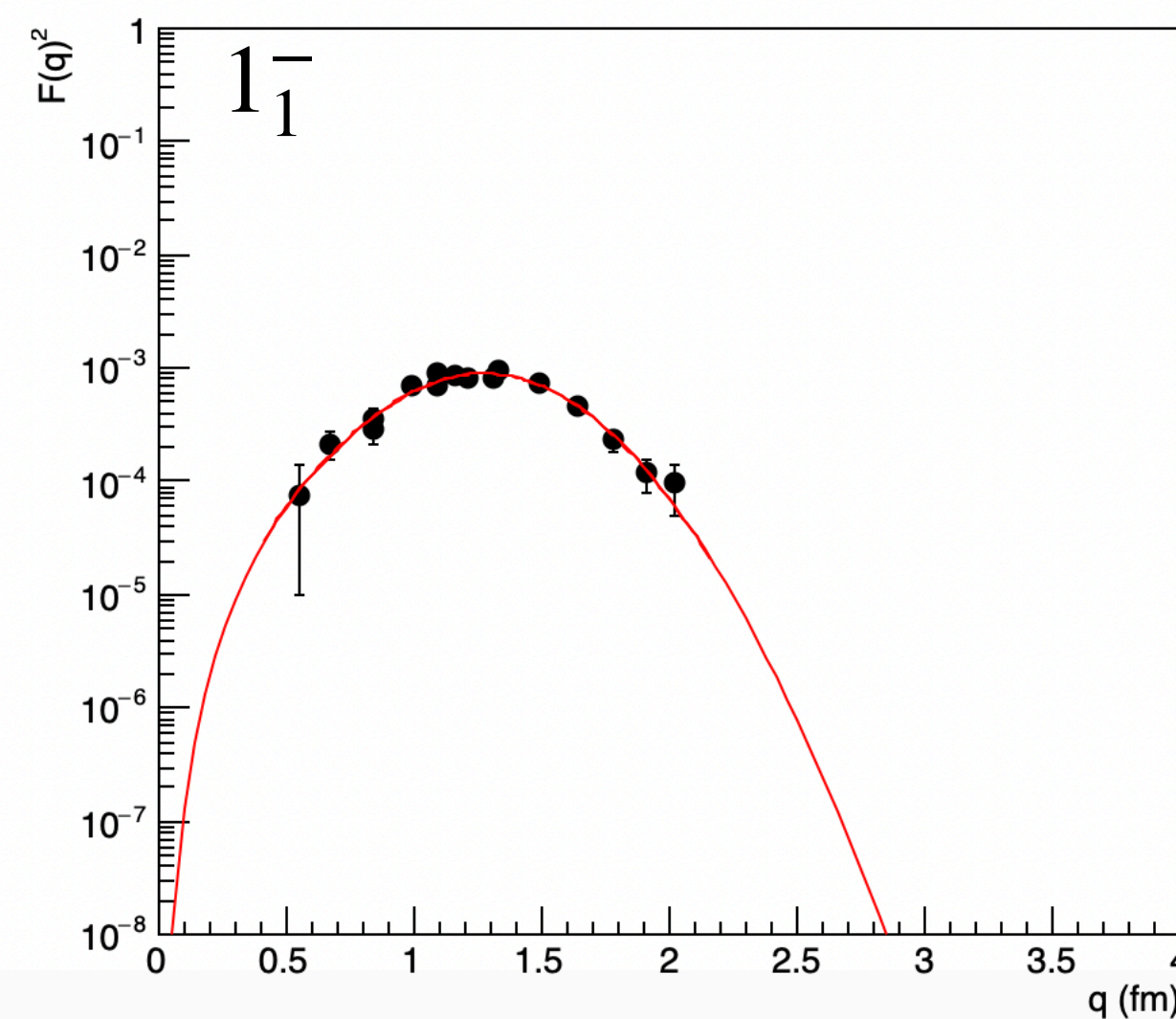
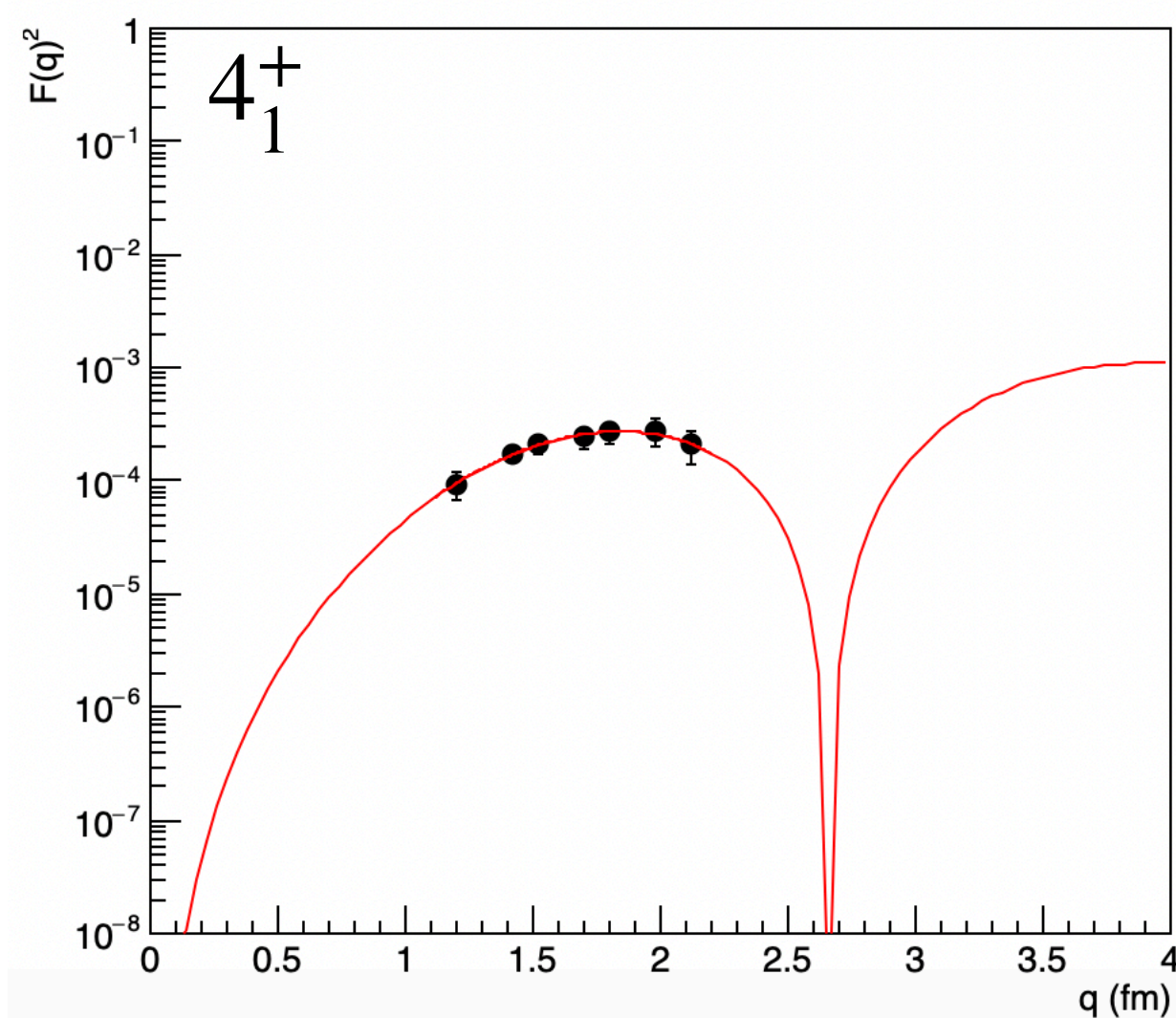
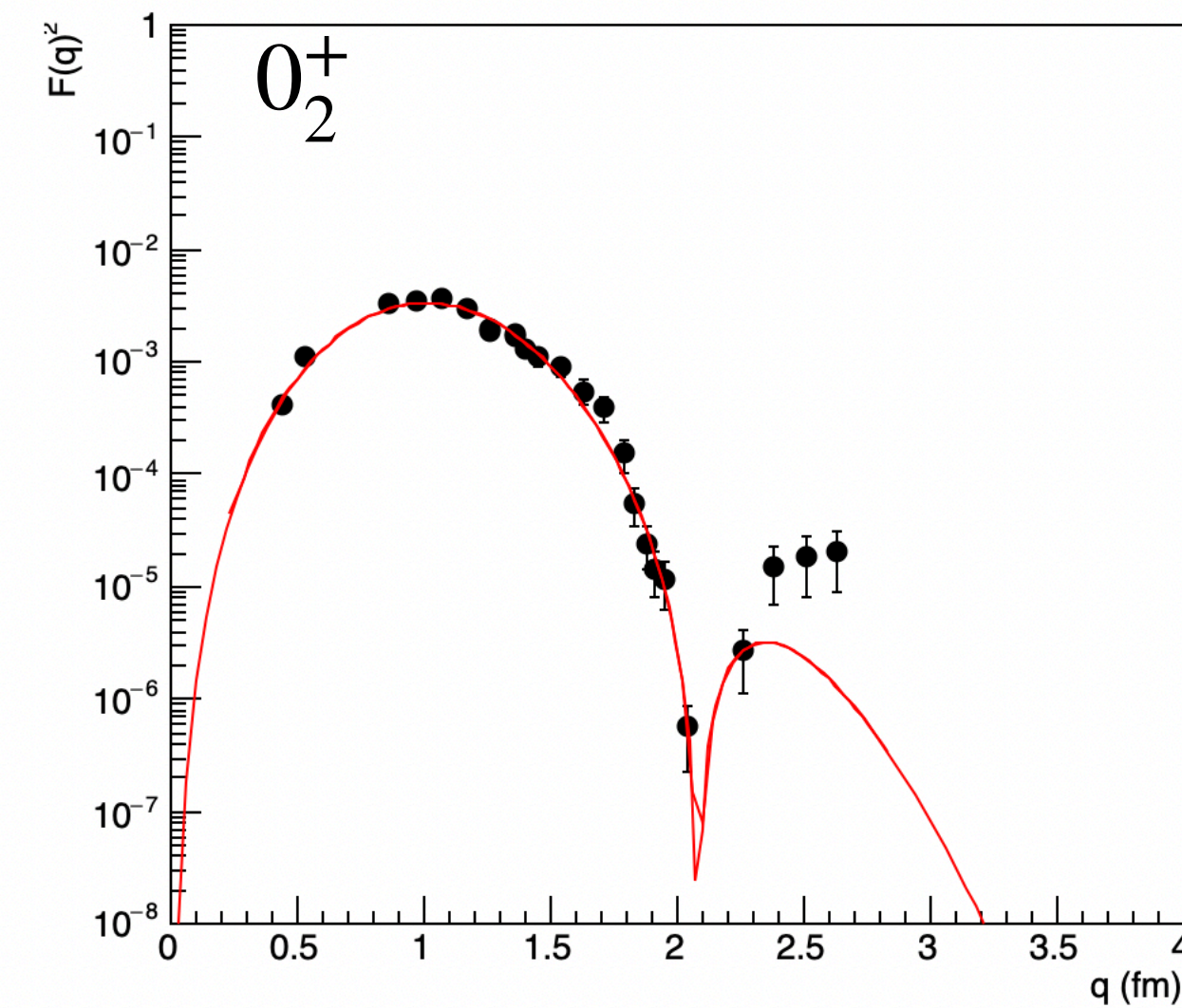
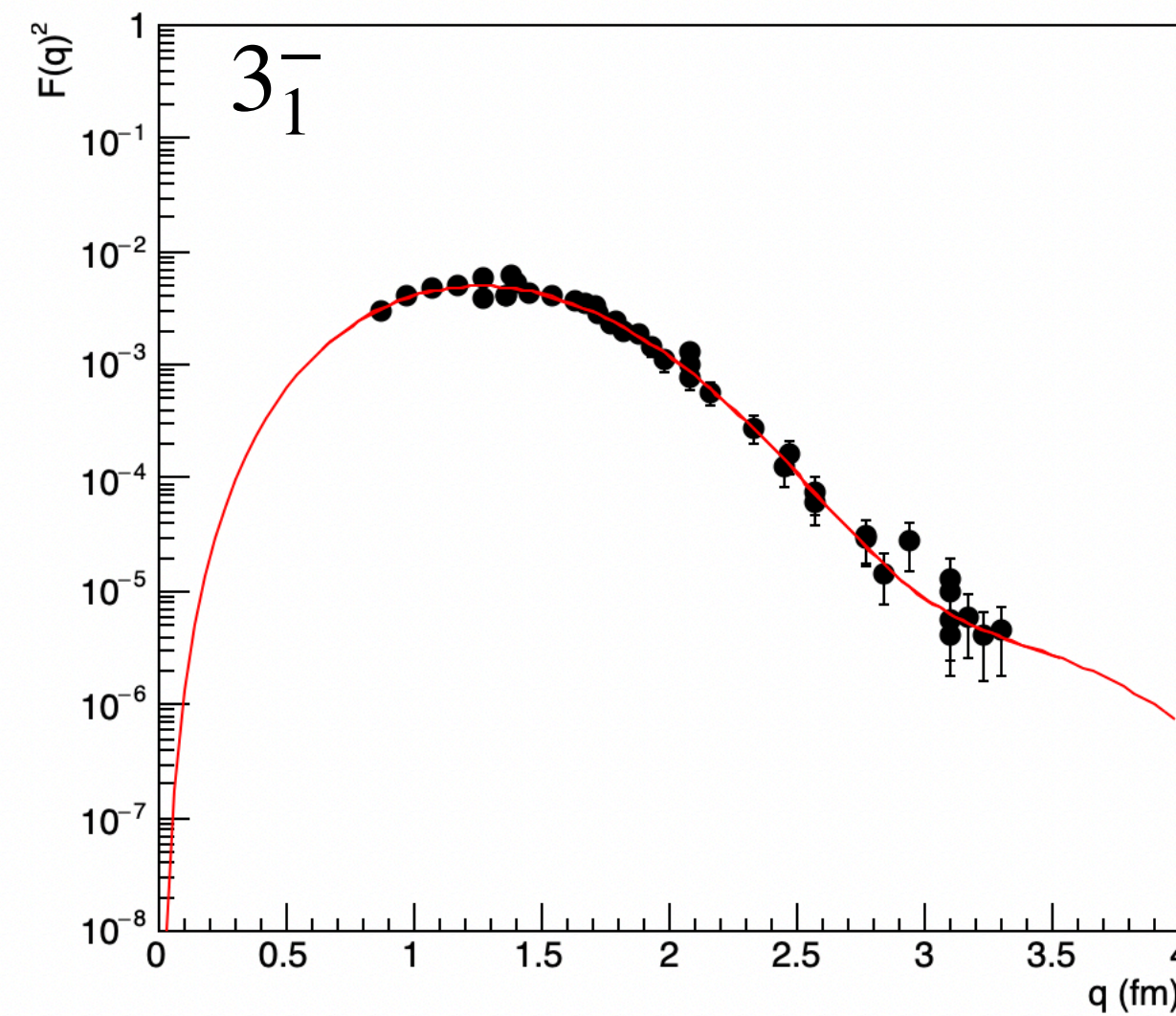
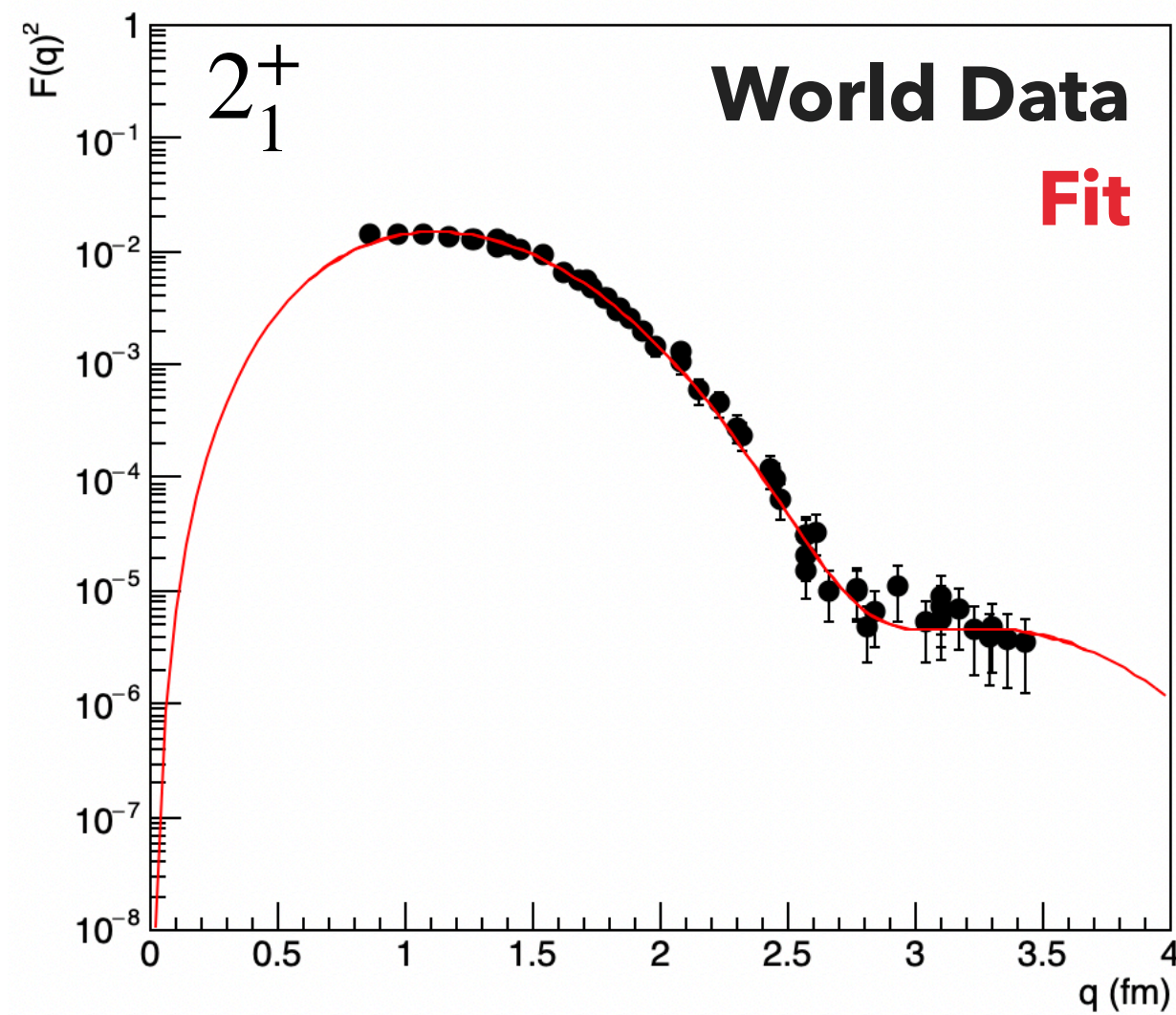


**$^{12}\text{C}$  elastic XS at 400 MeV, 35 degrees**





# EXCITED ELASTIC STATES



Extractions of excited elastic states based on fit of transition form-factors to world data.

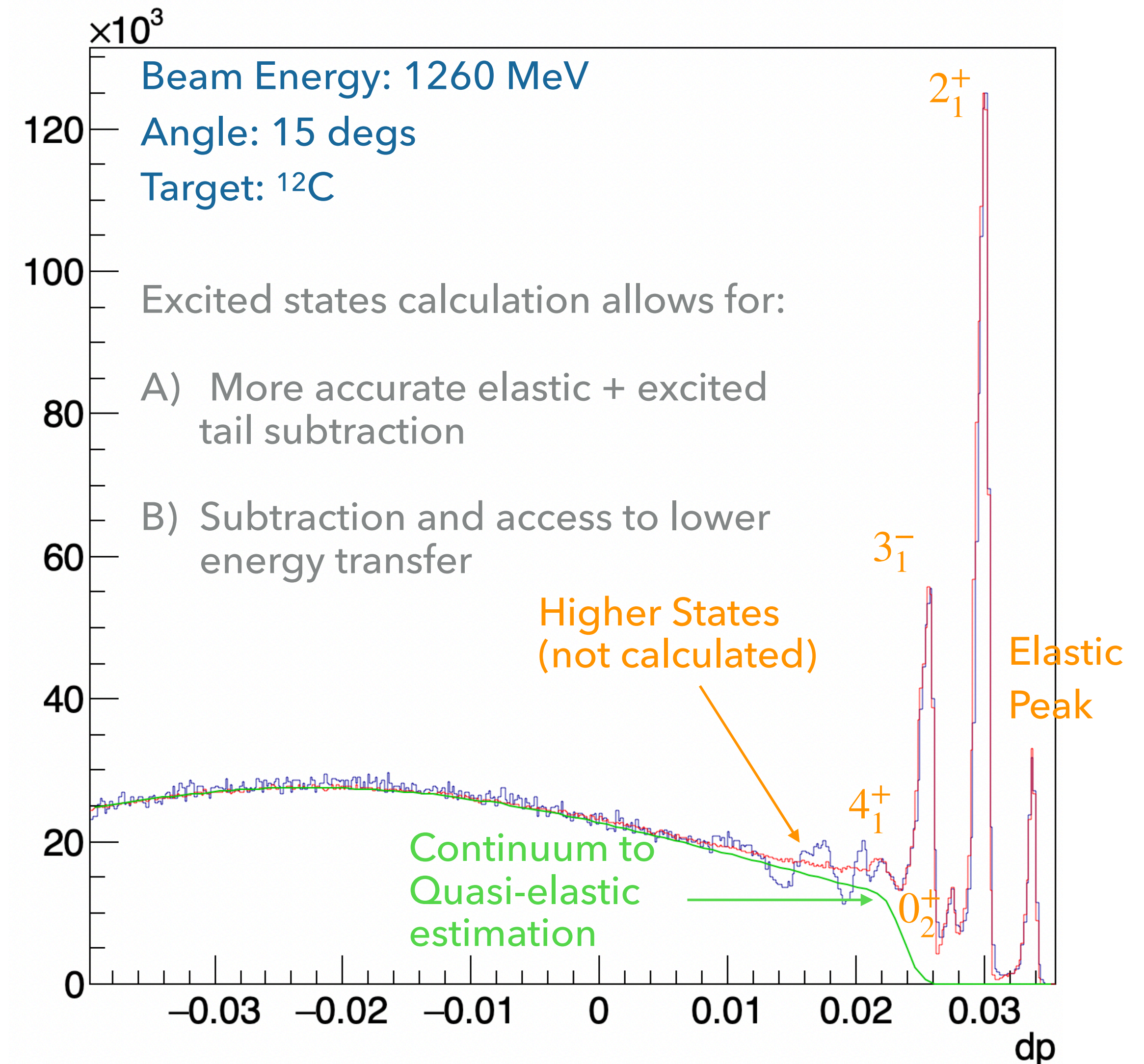
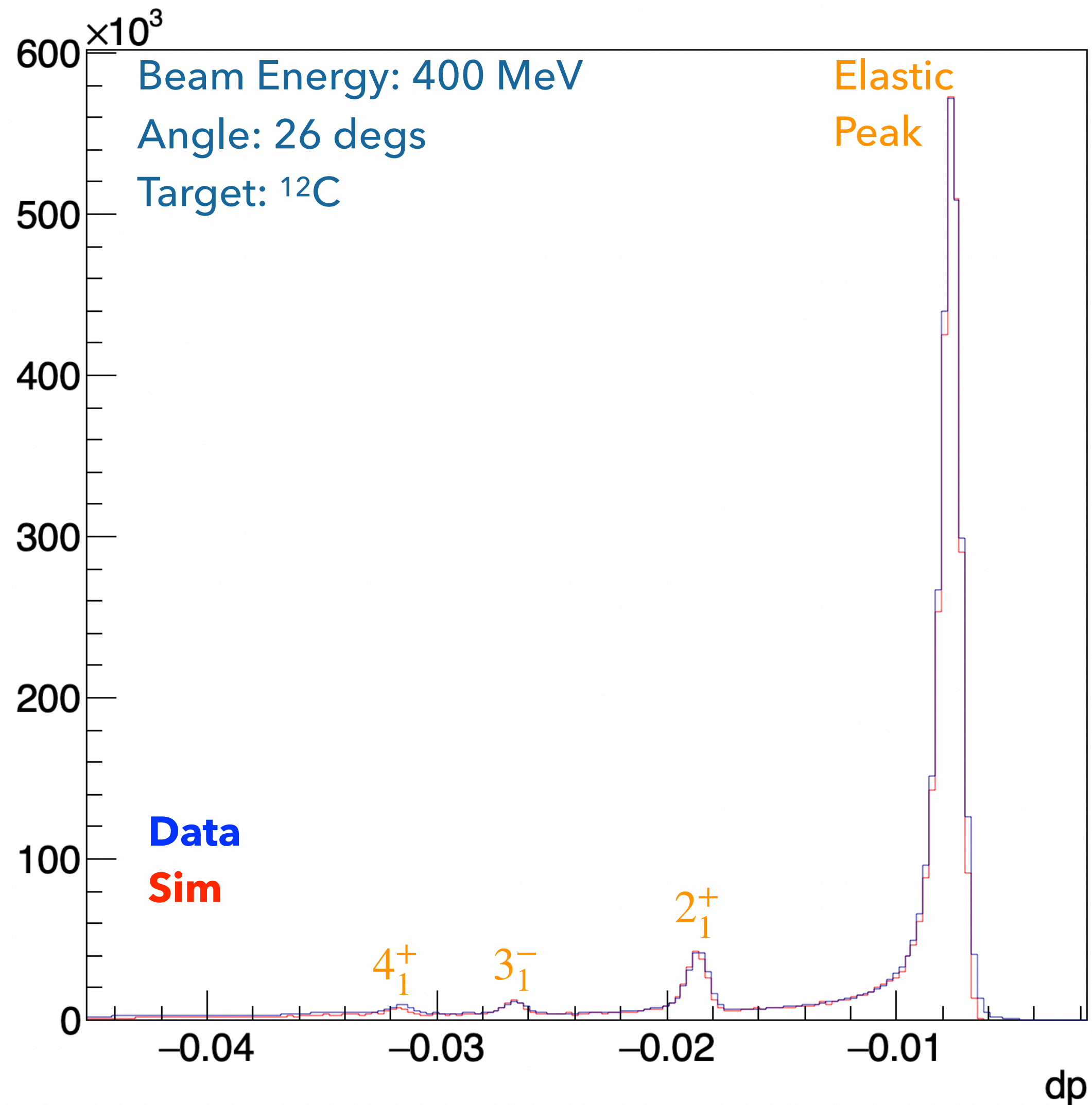
Functional form follows an analytic, global, and model-independent analysis introduced recently\* (mostly in the study of the  $0_2^+$  "Hoyle" state)

$$F(q) = \frac{1}{Z} e^{-\frac{1}{2}(bq)^2} \sum_{n=1}^{n_{\max}} c_n (bq)^{2n}$$

\* M. Chernykh, *et al.* Phys. Rev. Lett. 105



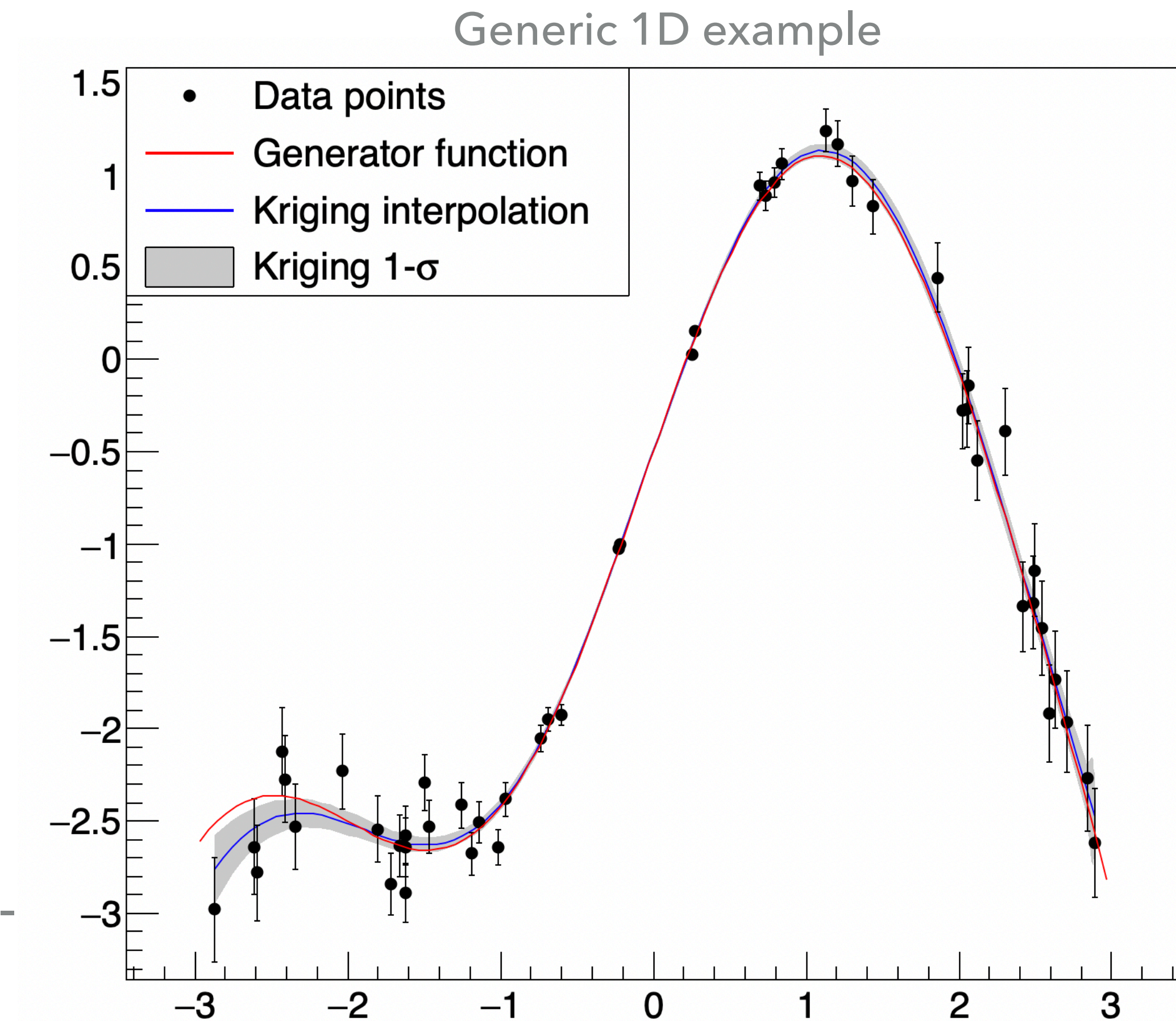
# EXCITED ELASTIC STATES





# INTERPOLATION TECHNIQUE: GAUSSIAN PROCESS REGRESSION

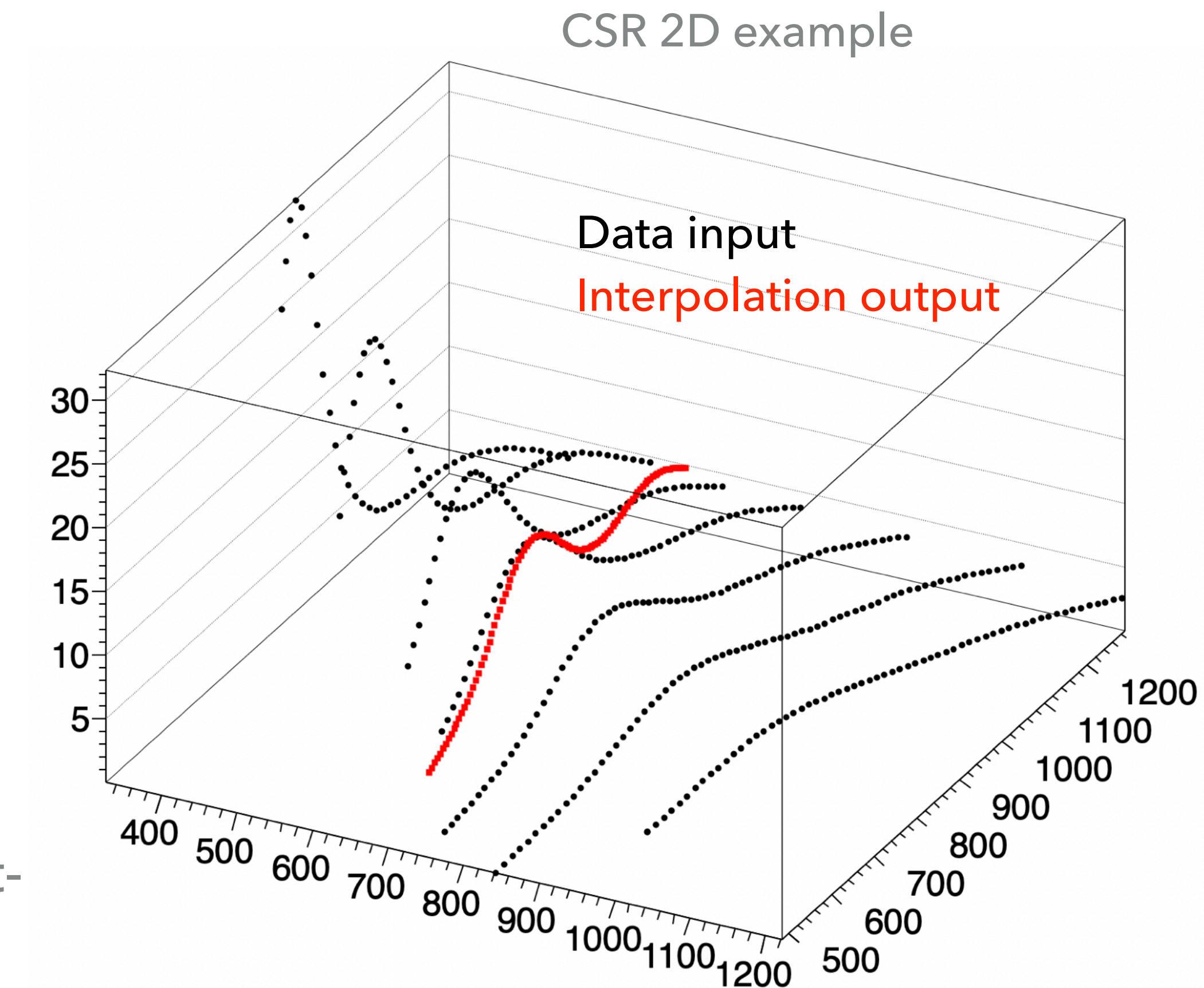
- ▶ Utilizes the supervised machine learning technique "Gaussian Process Regression"
  - ▶ Well documented and utilized process:
    - ▶ Gaussian Processes for Machine Learning, Carl Edward Rasmussen and Chris Williams, the MIT Press, 2006\*
    - ▶ Used in packages like scikit-learn (python) and Weka (Java)
  - ▶ I've written a similar package in C++ with root integration.
  - ▶ Recent updates:
    - ▶ Full N-Dimensional interpolation (not available in scikit-learn, Weka, or anywhere else I've seen)
    - ▶ Hyper-parameter tuning methods (using both Log-marginal likelihood and psuedo-log-likelihood.





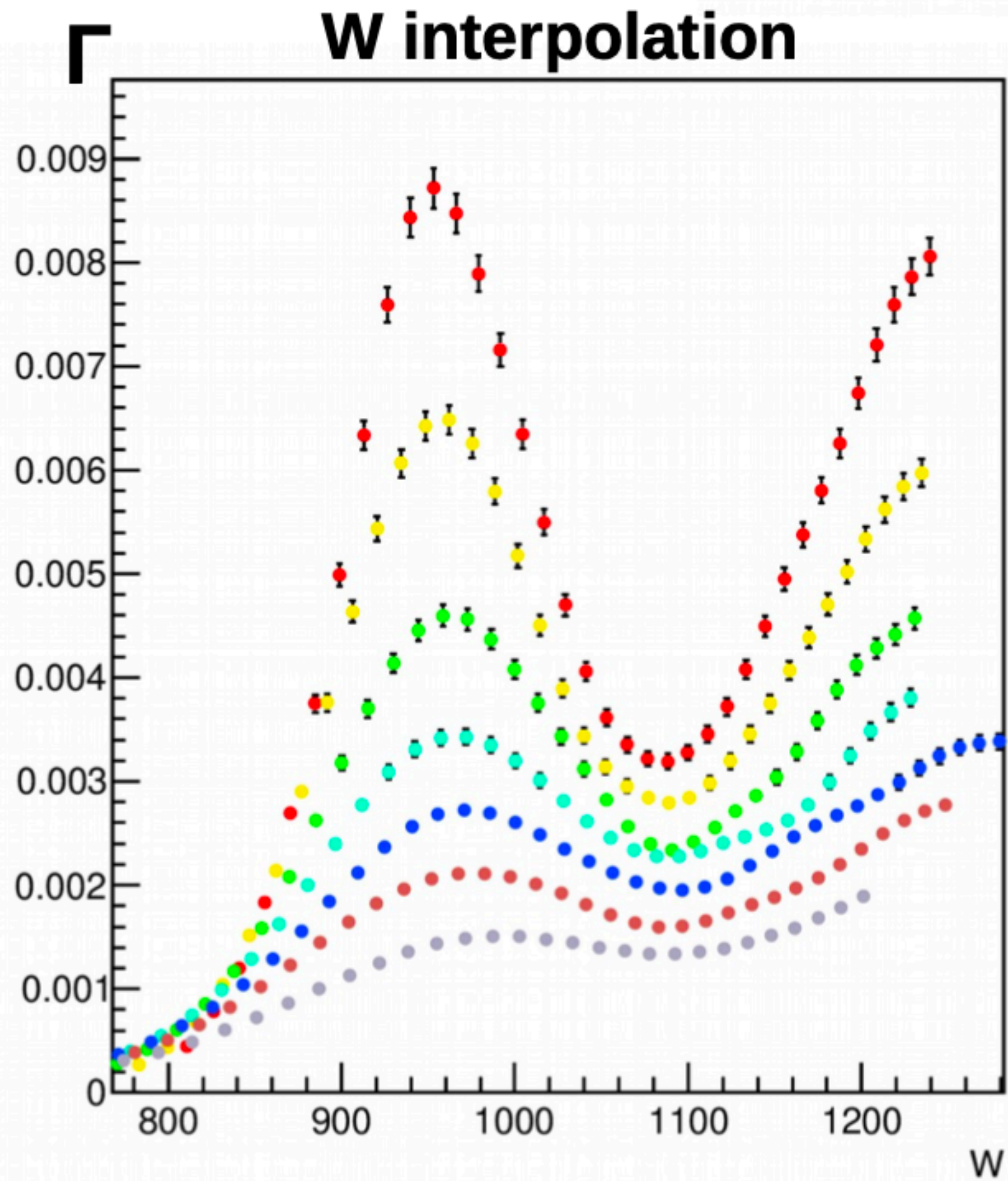
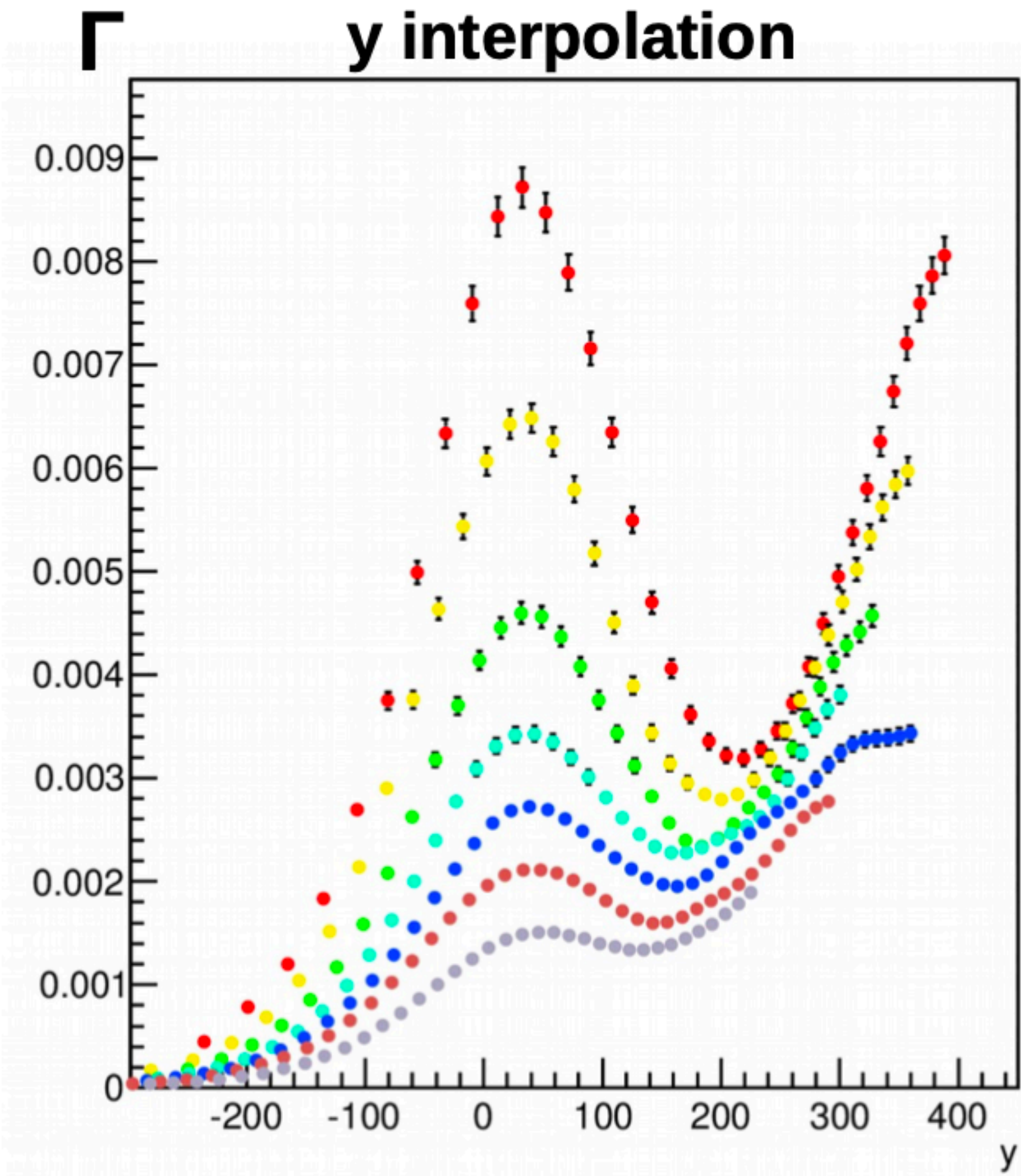
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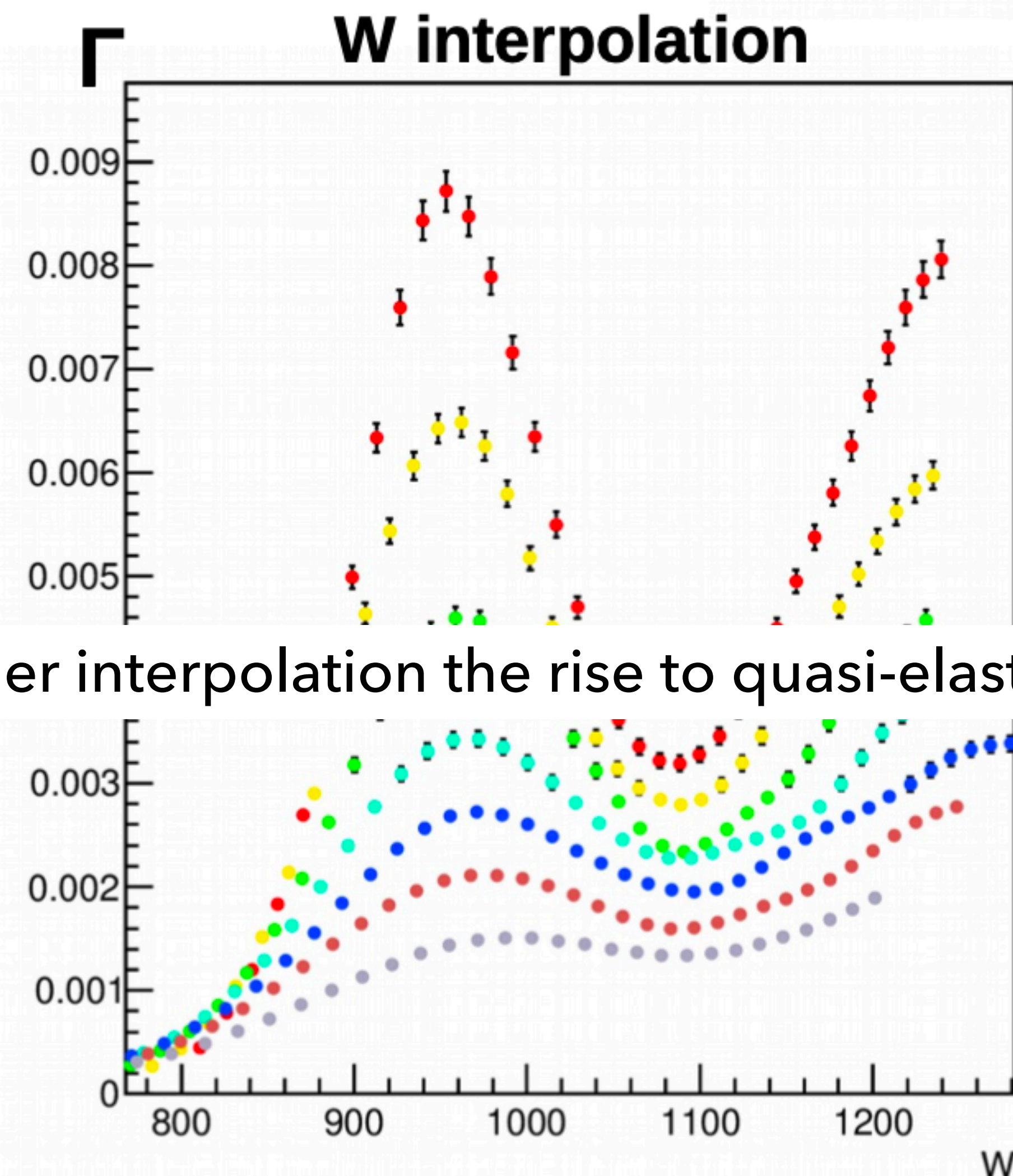
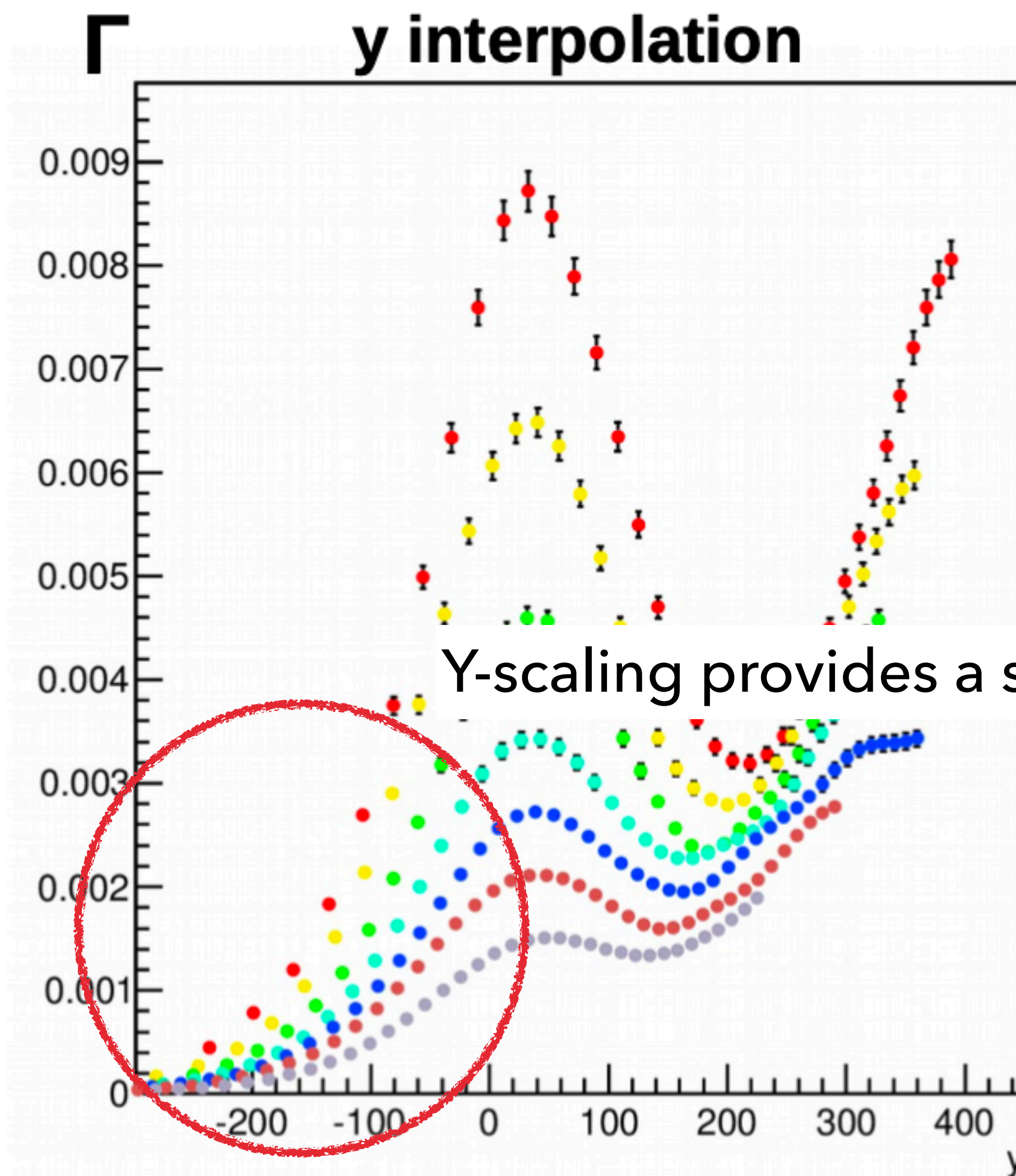


PROGRESS ON  $^4\text{He}$  (KAI JIN)



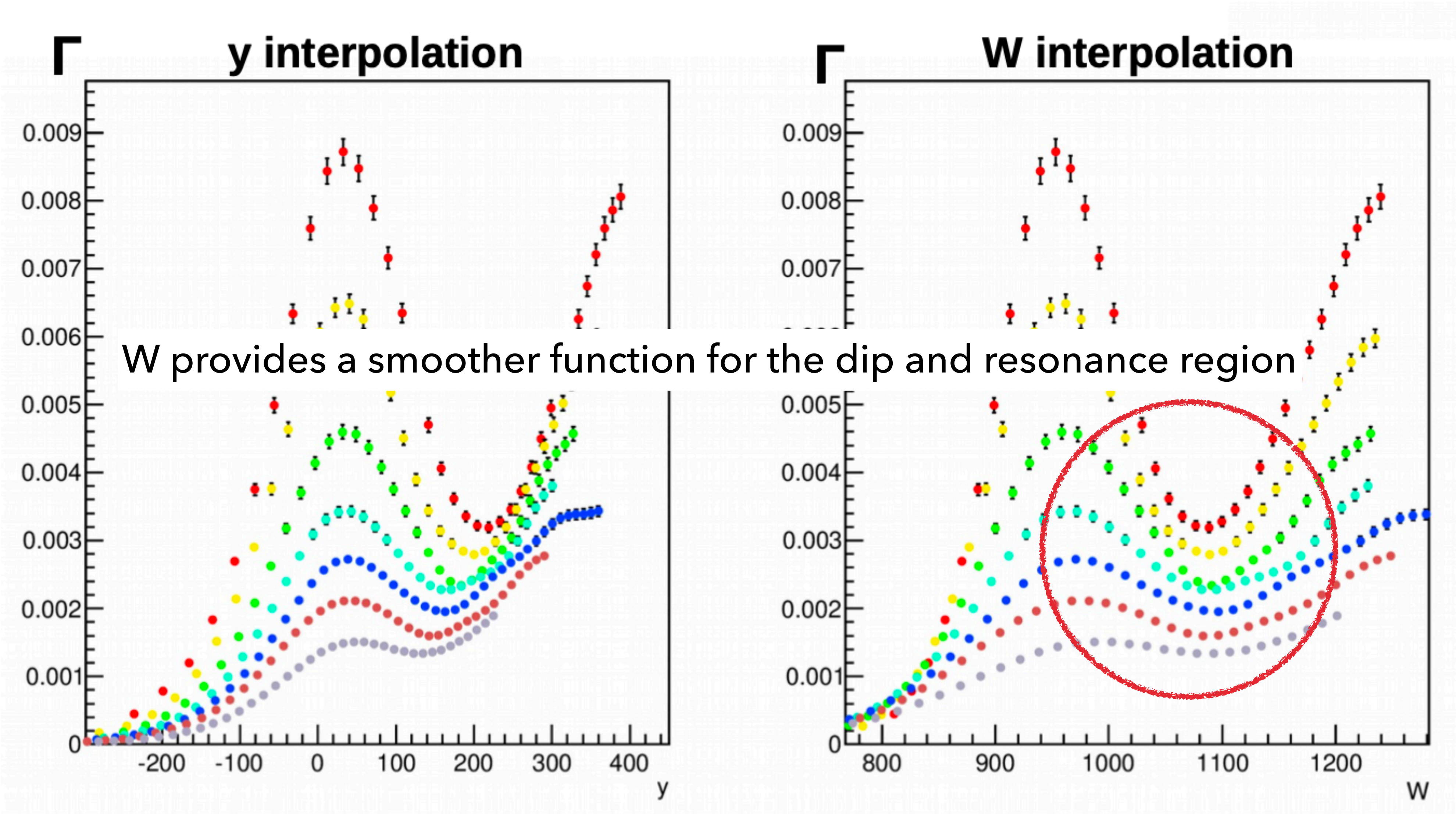


## PROGRESS ON $^4\text{He}$ (KAI JIN)





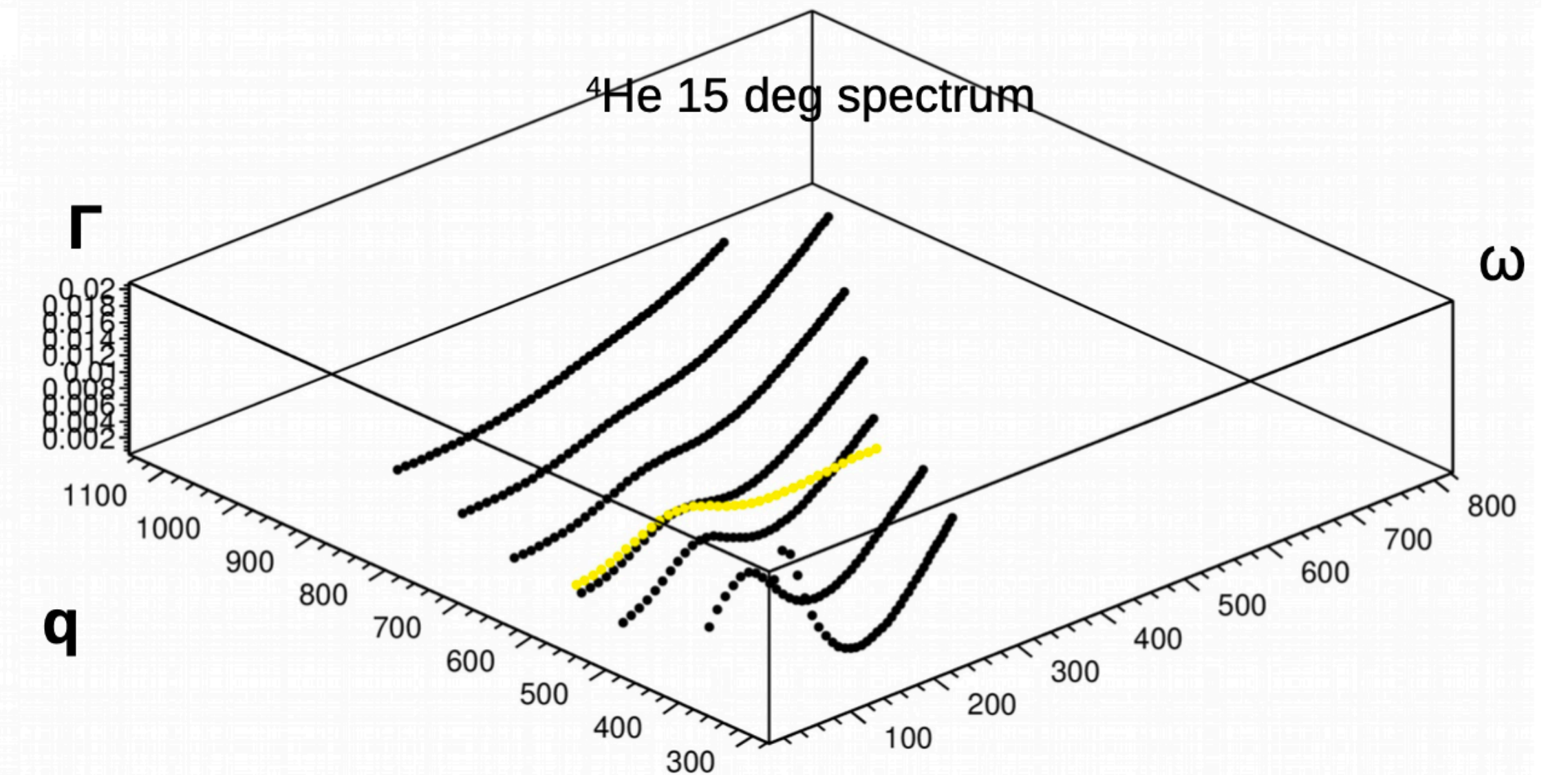
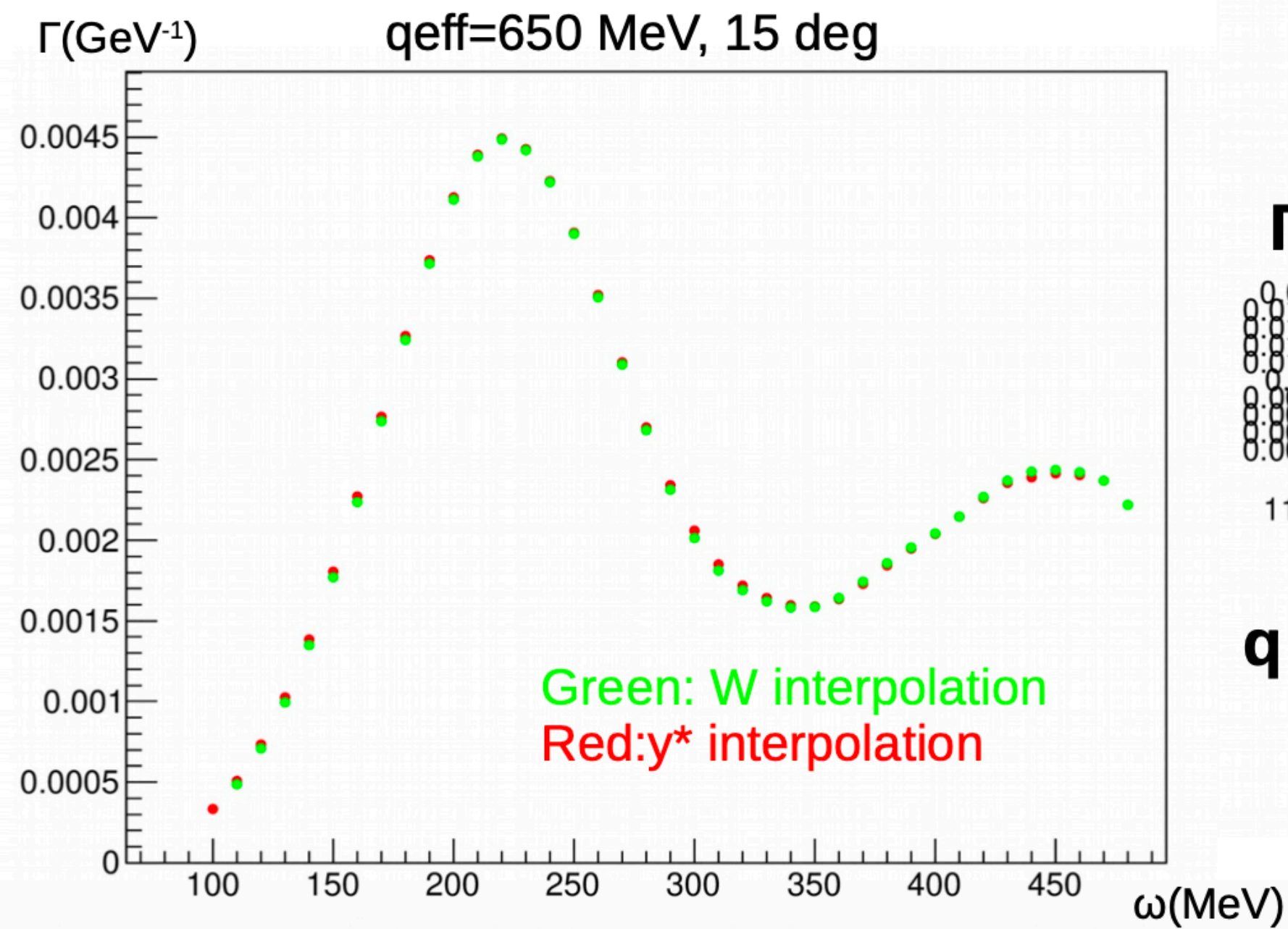
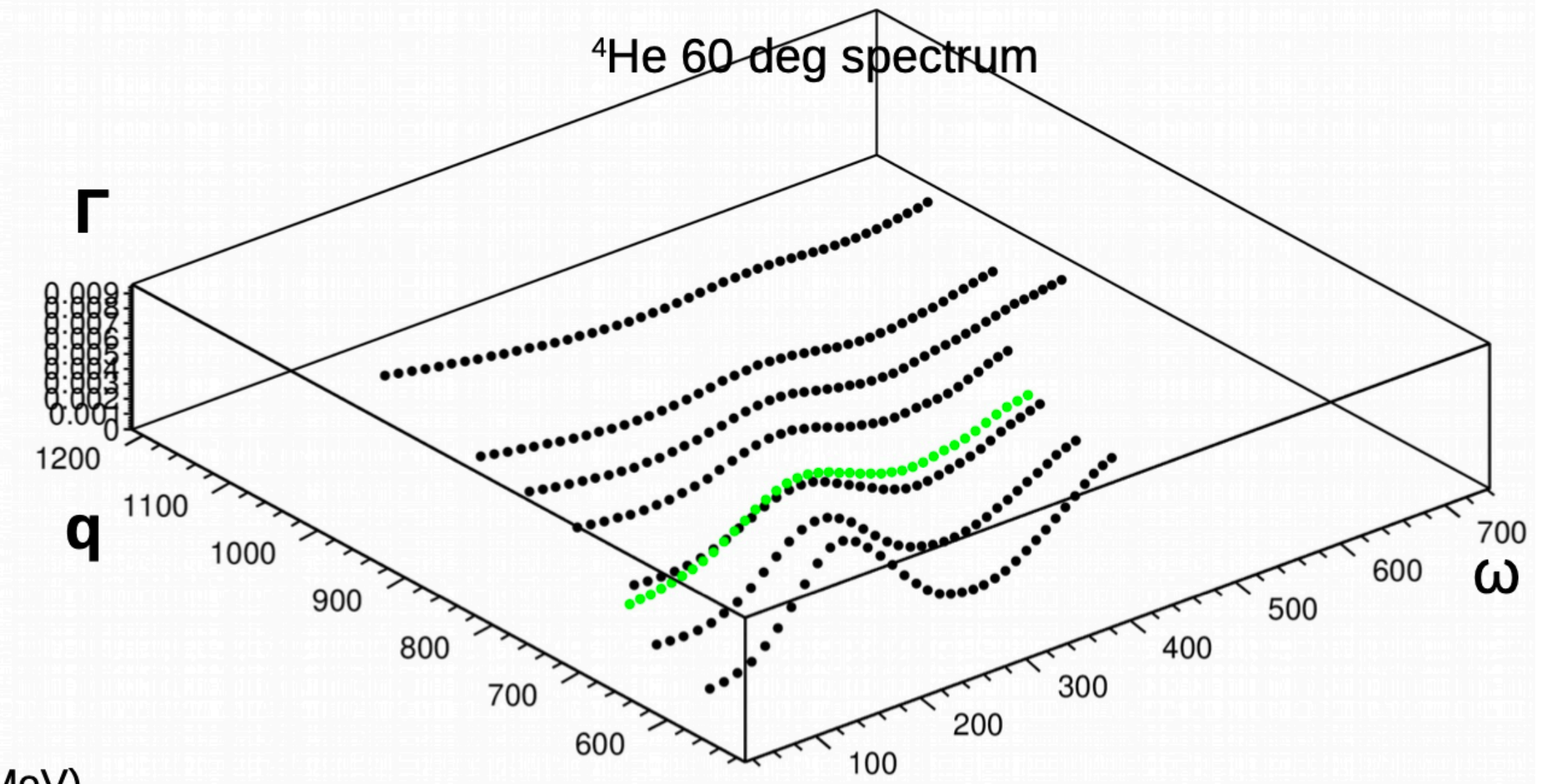
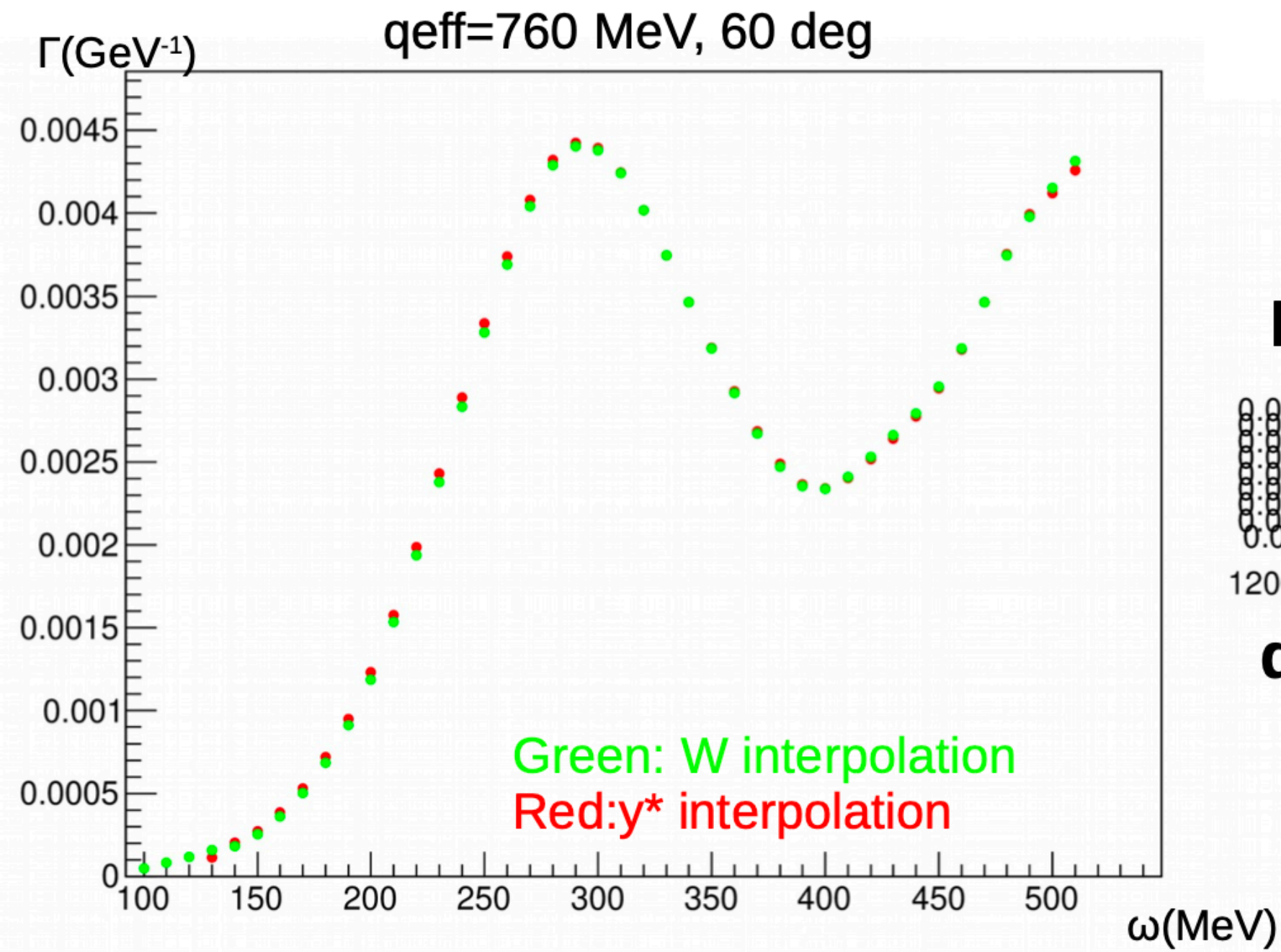
PROGRESS ON <sup>4</sup>HE (KAI JIN)





# PROGRESS ON $^4\text{He}$ (KAI JIN)

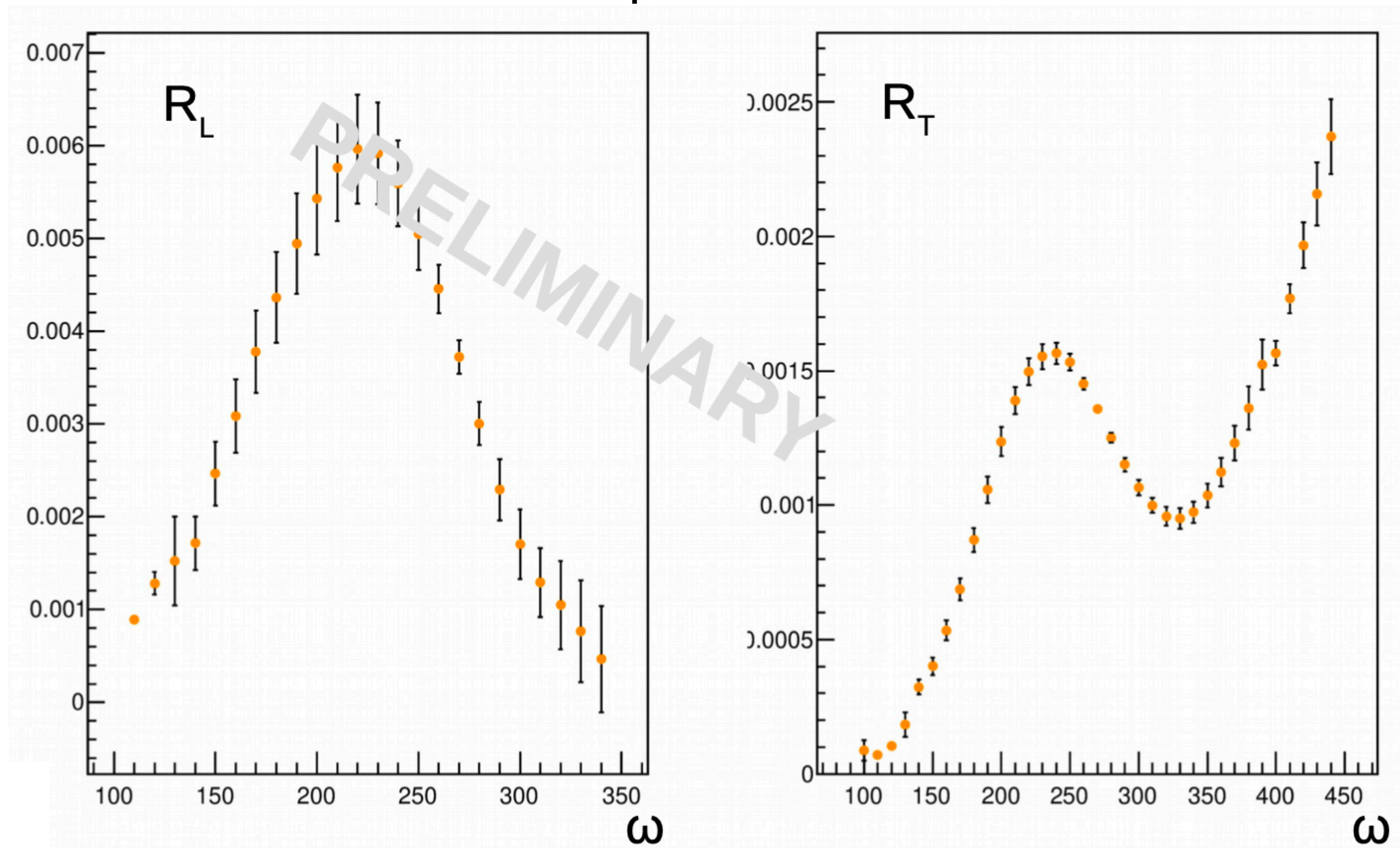
## Interpolation





# PROGRESS ON $^4\text{He}$ (KAI JIN)

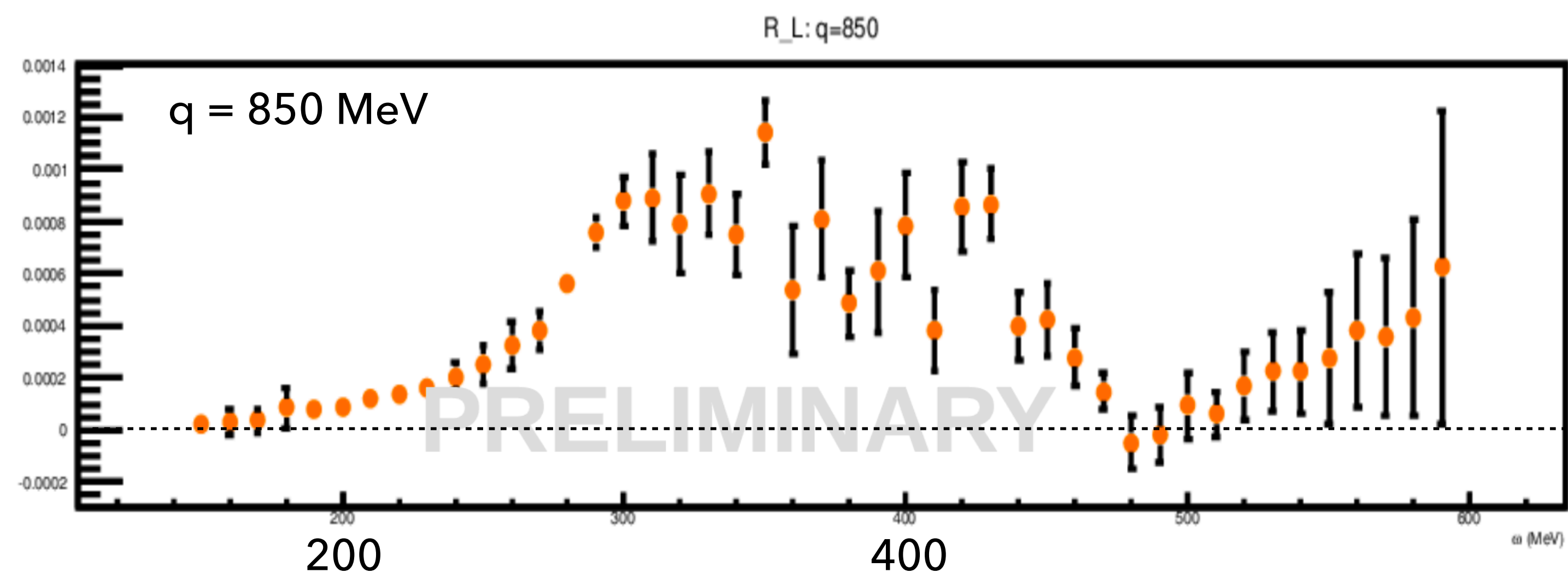
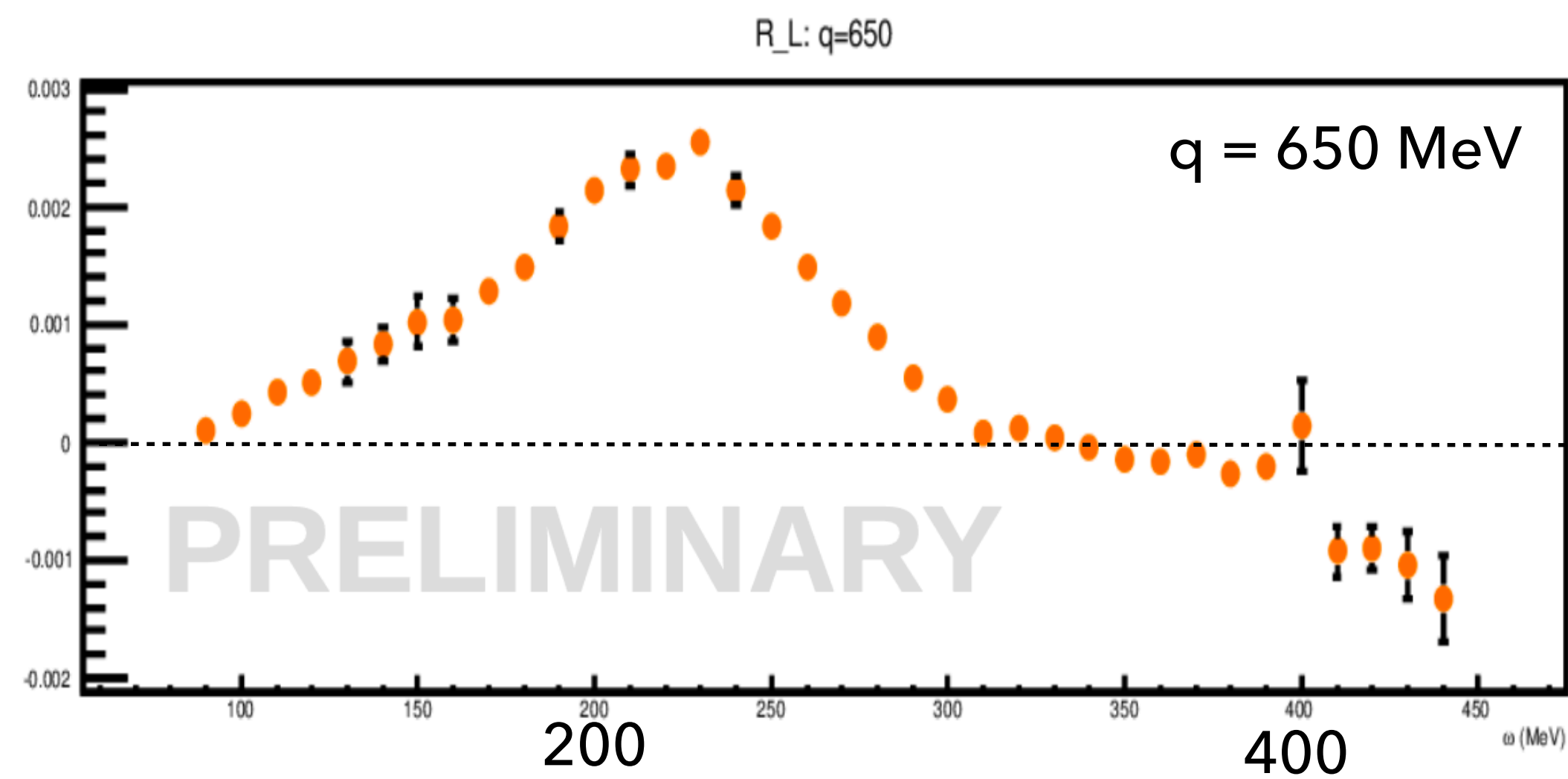
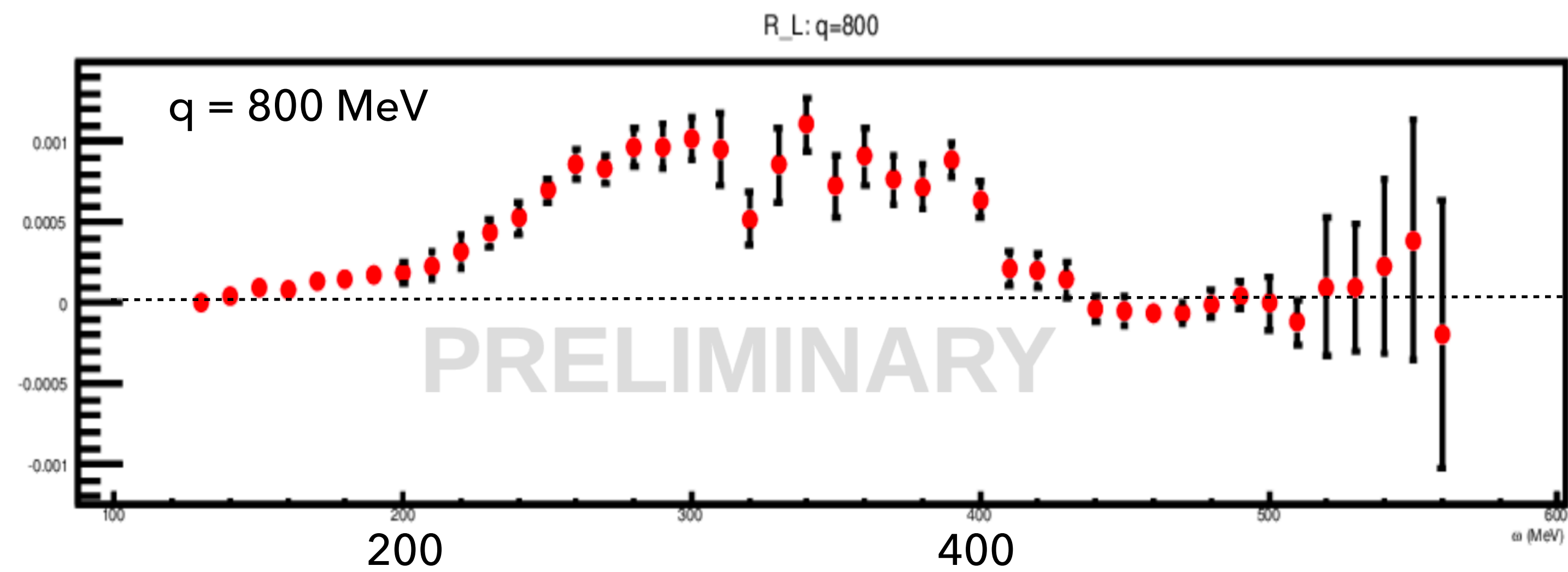
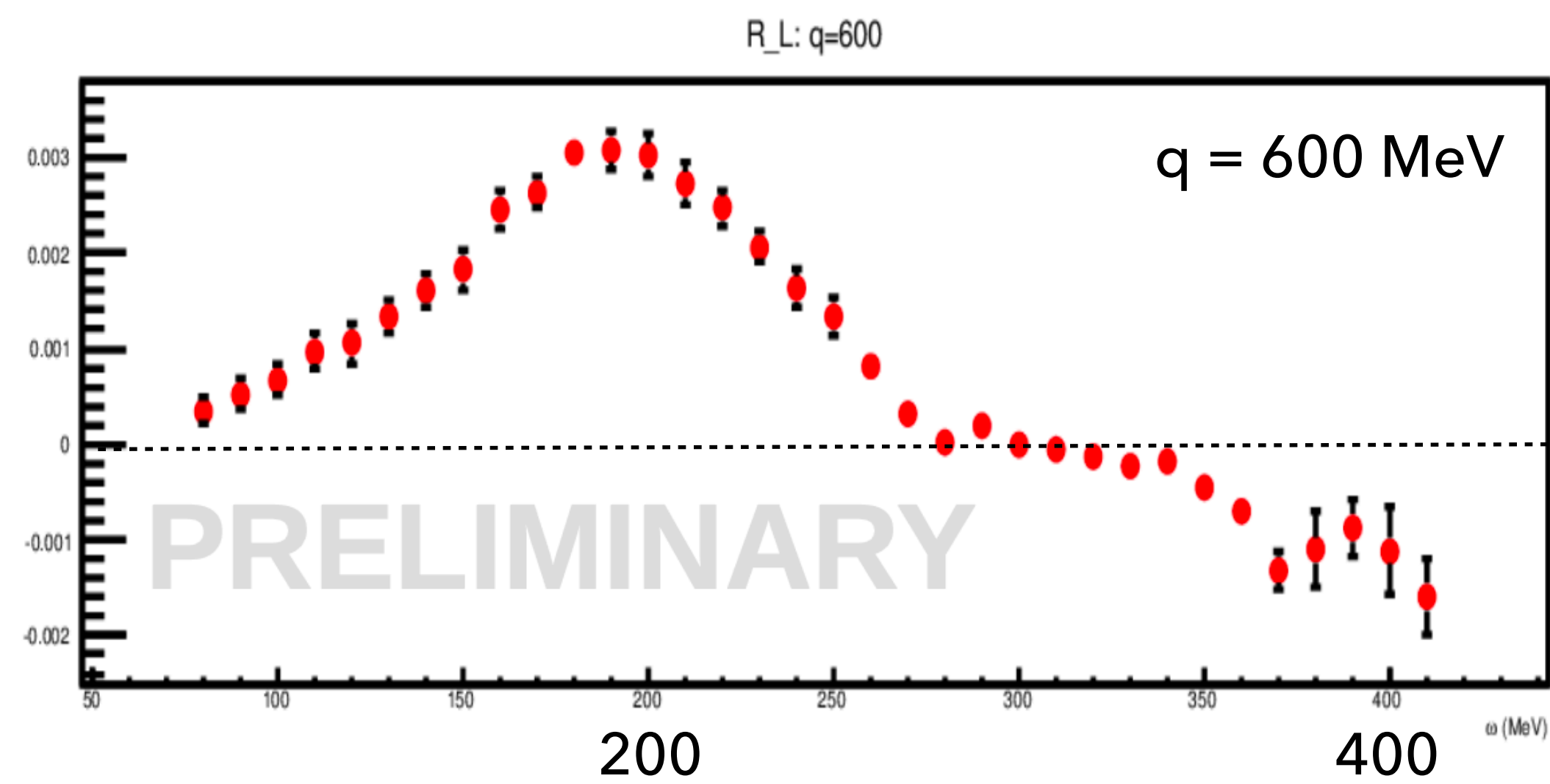
$^4\text{He}$ ,  $q = 660 \text{ MeV}$





# PROGRESS ON $^4\text{He}$ (KAI JIN)

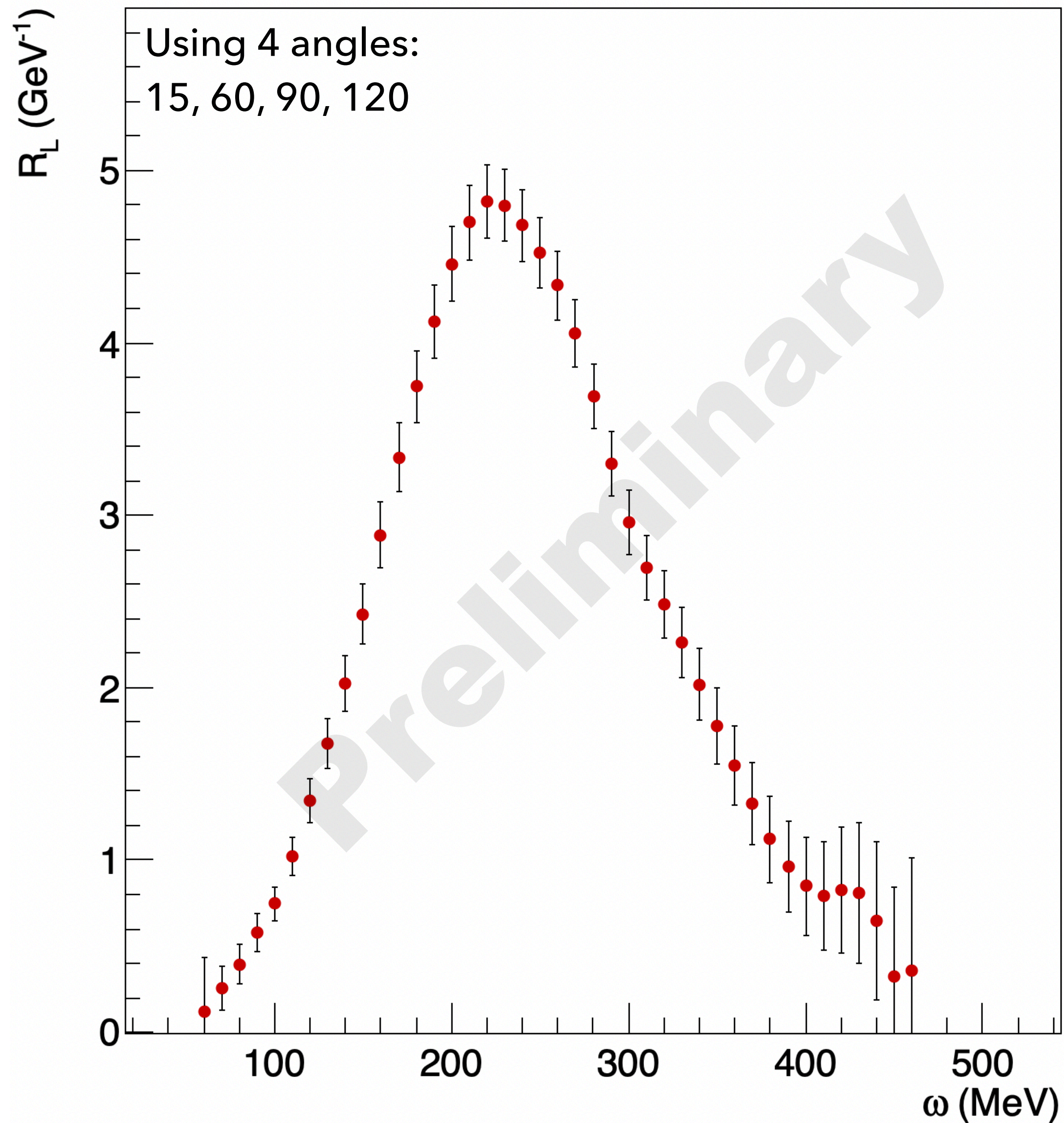
$R_L$  vs Energy Transfer (MeV)





## CSR CARBON

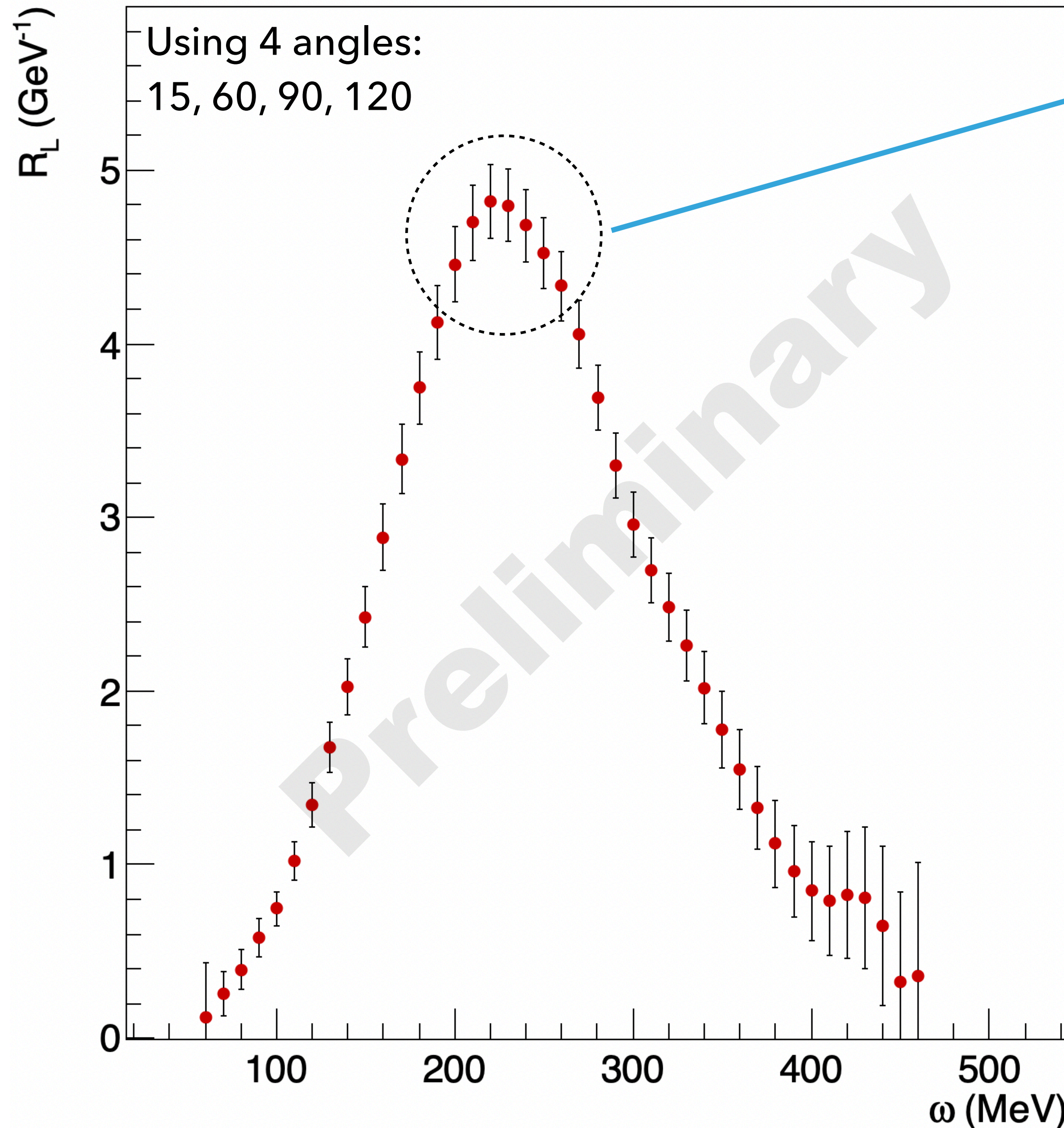
$^{12}\text{C}$  at  $|q| = 650 \text{ MeV}$



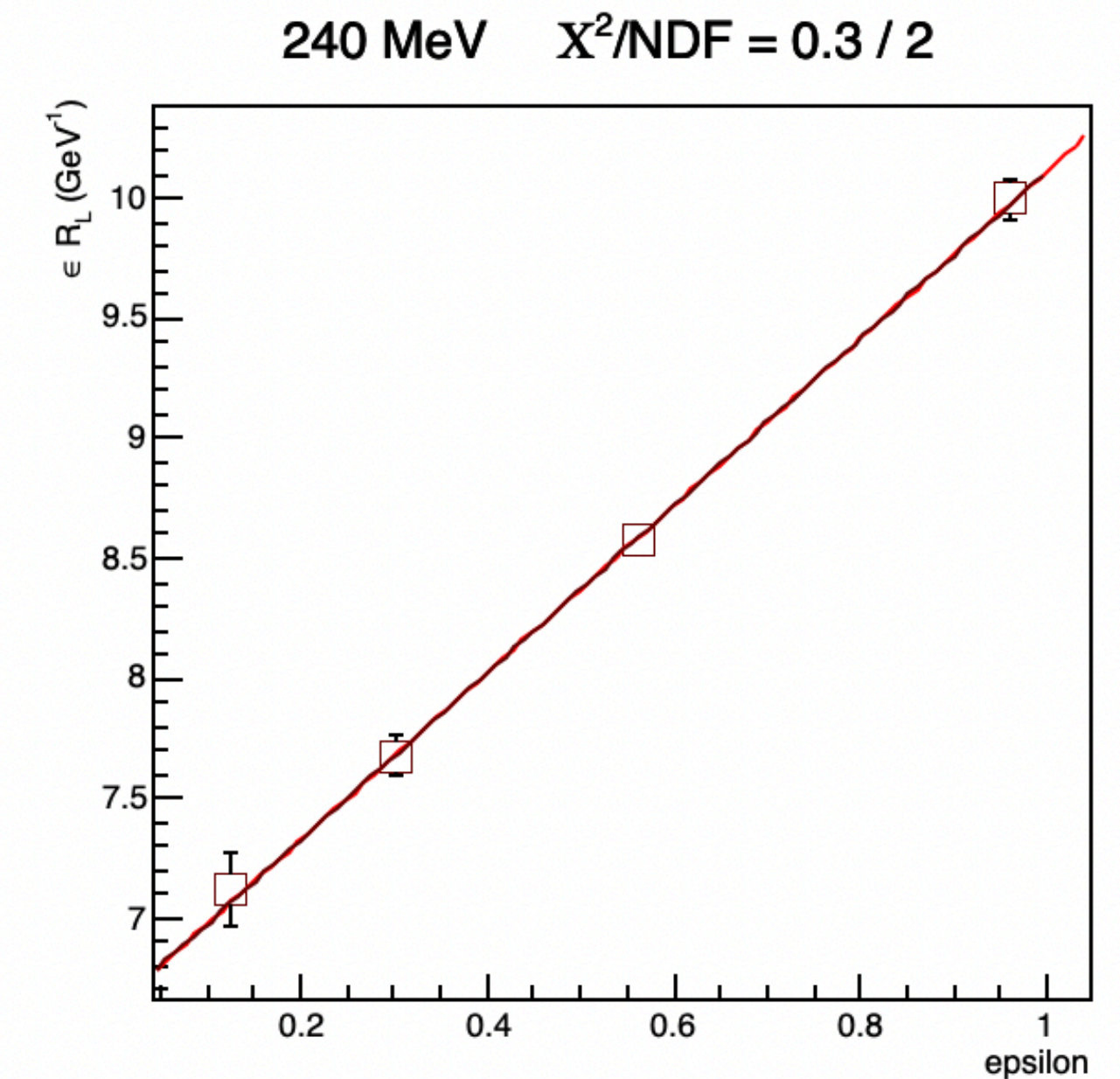
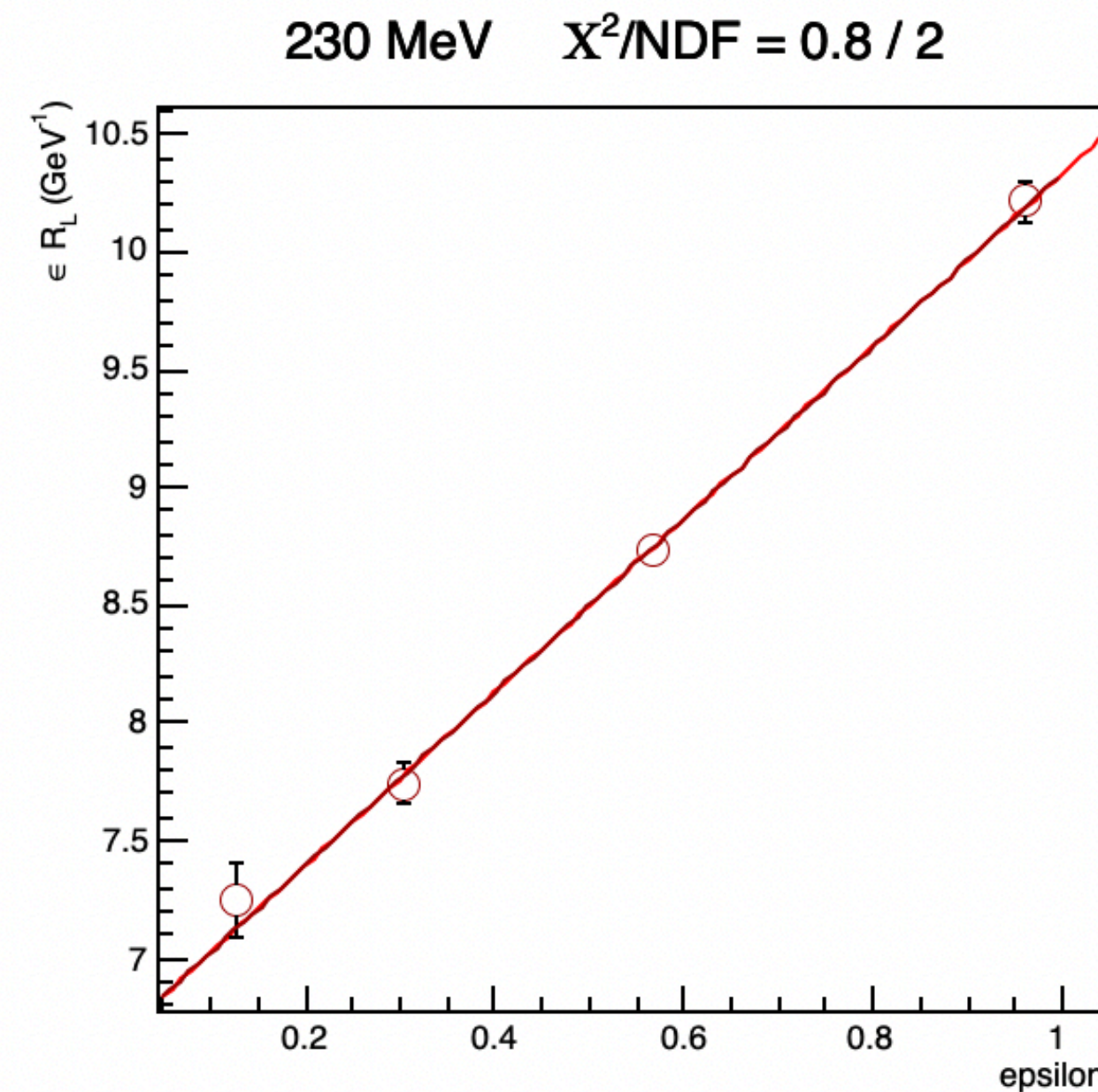


# CSR CARBON

$^{12}\text{C}$  at  $|q| = 650$  MeV

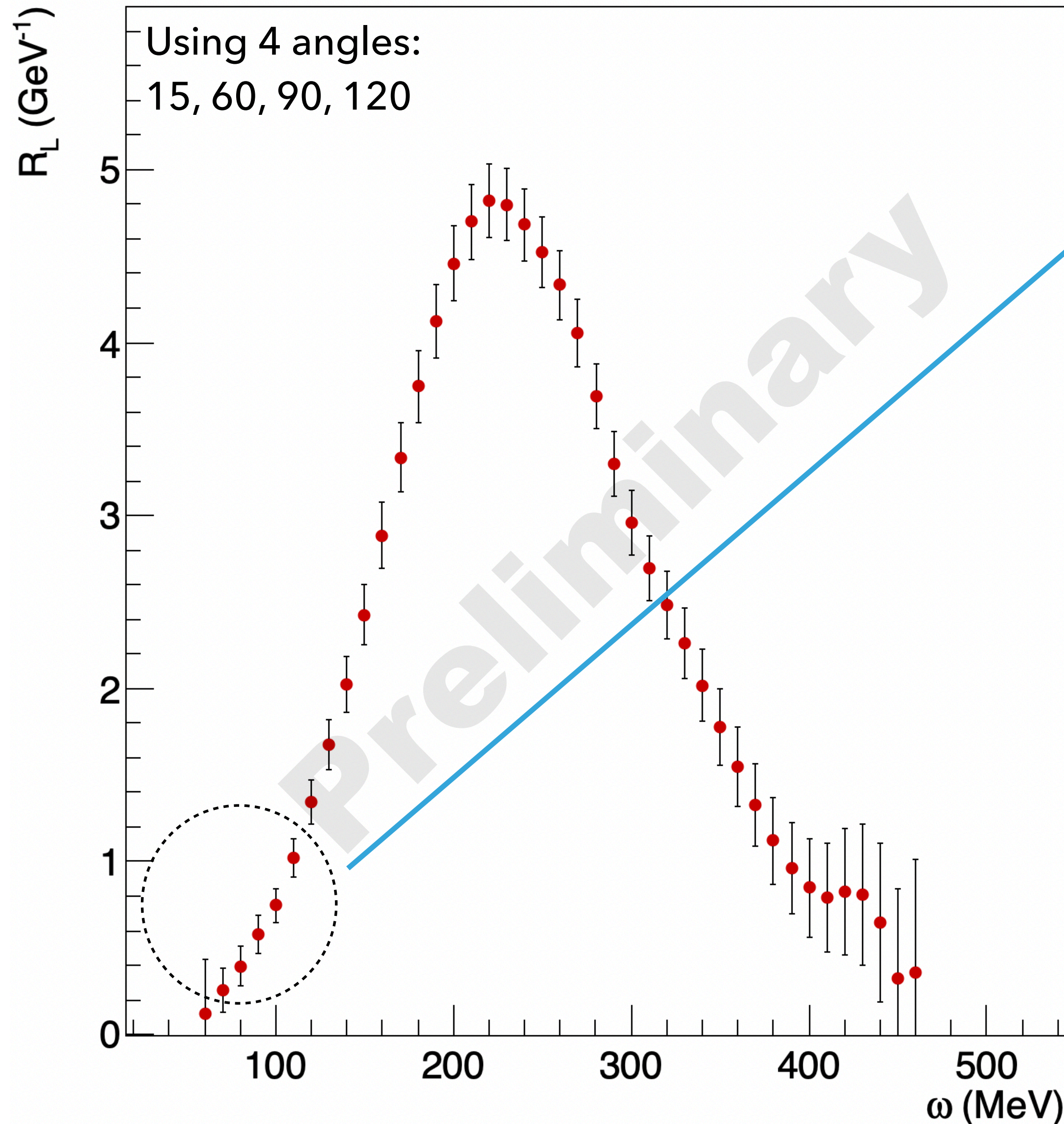


- ▶ Goodness-of-fit for Rosenbluth can indicated where a more careful study is needed.
- ▶ Quasi-elastic peak region is well under control

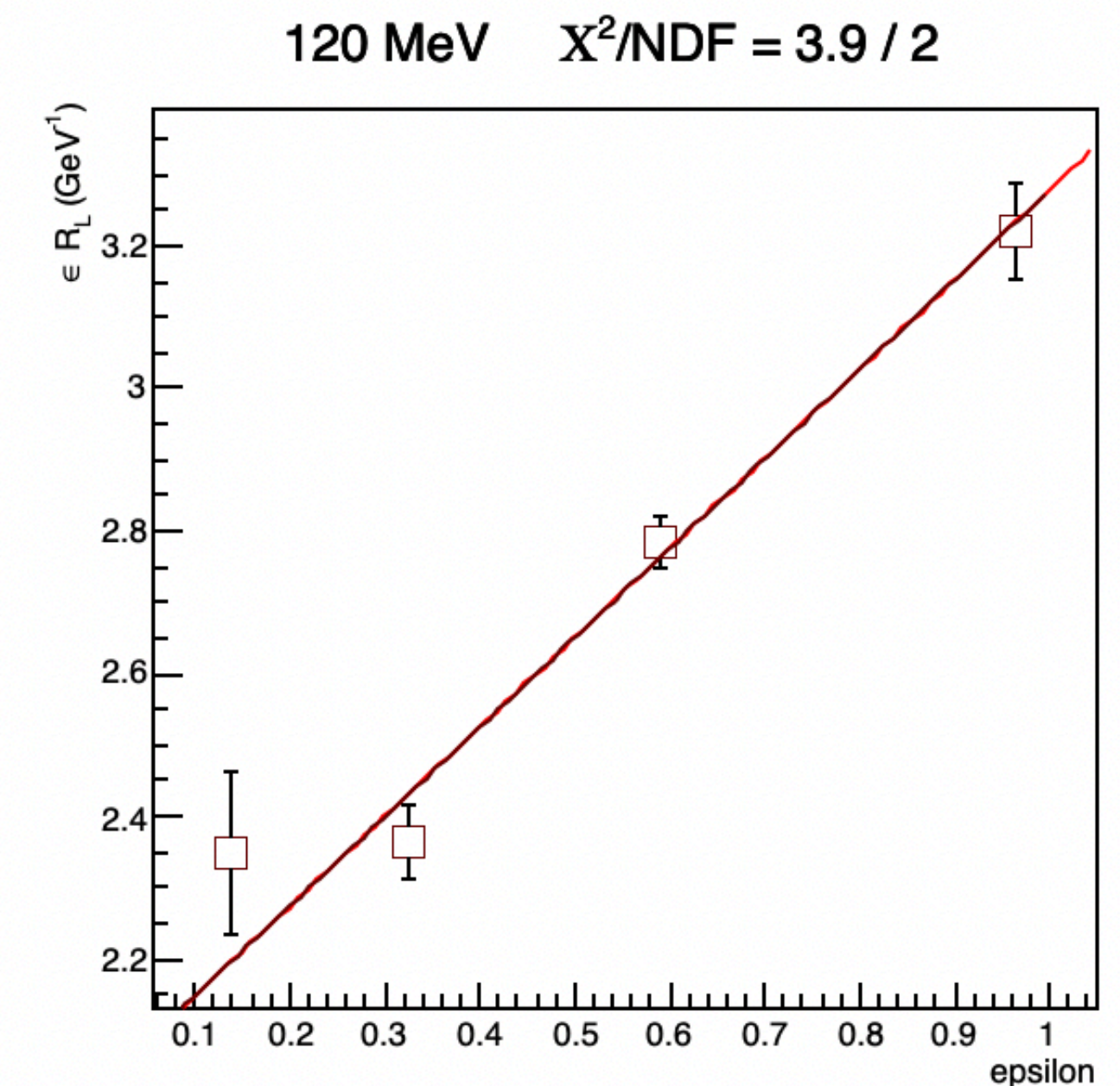
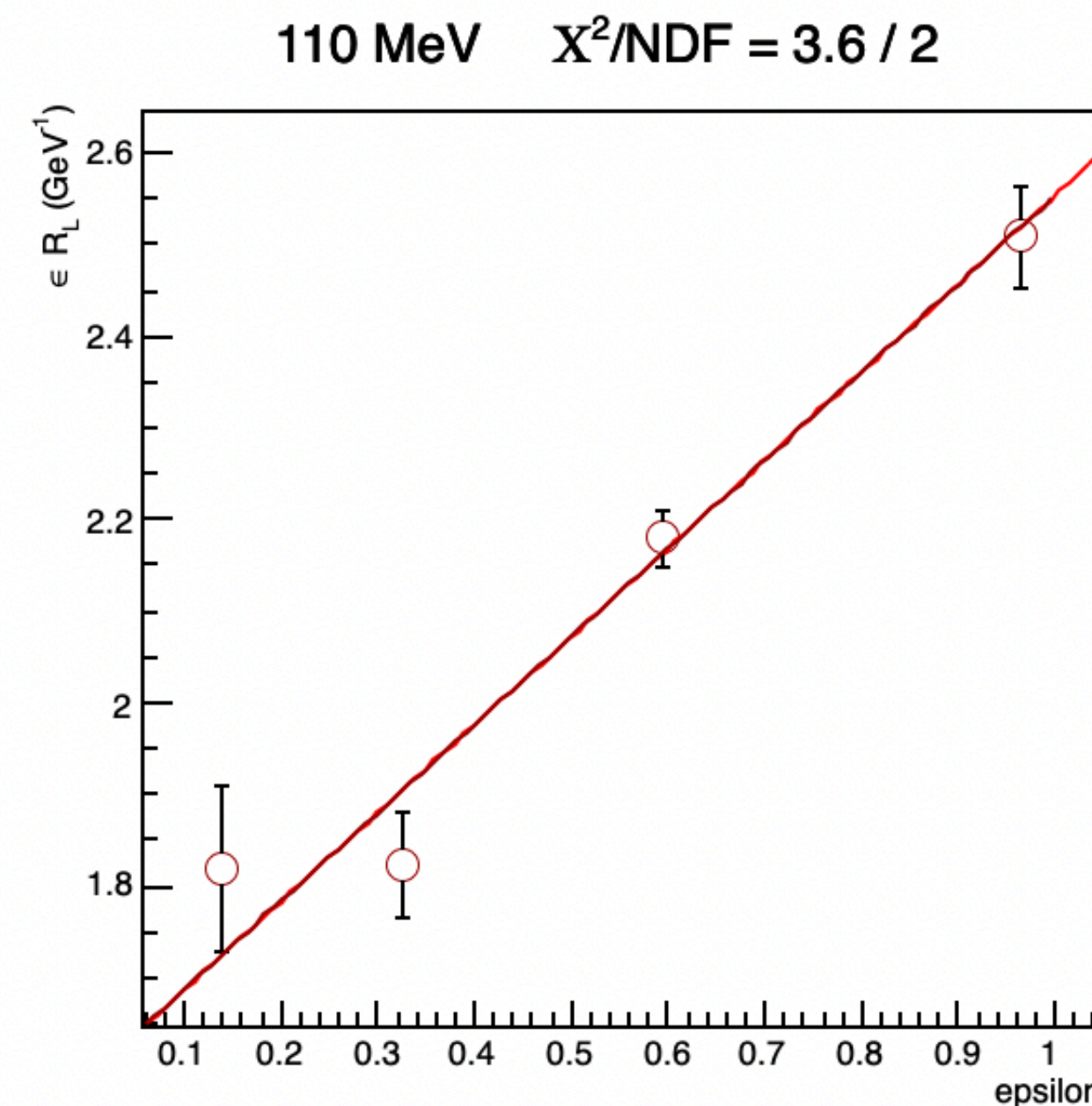




## CSR CARBON

 **$^{12}\text{C}$  at  $|q| = 650 \text{ MeV}$** 

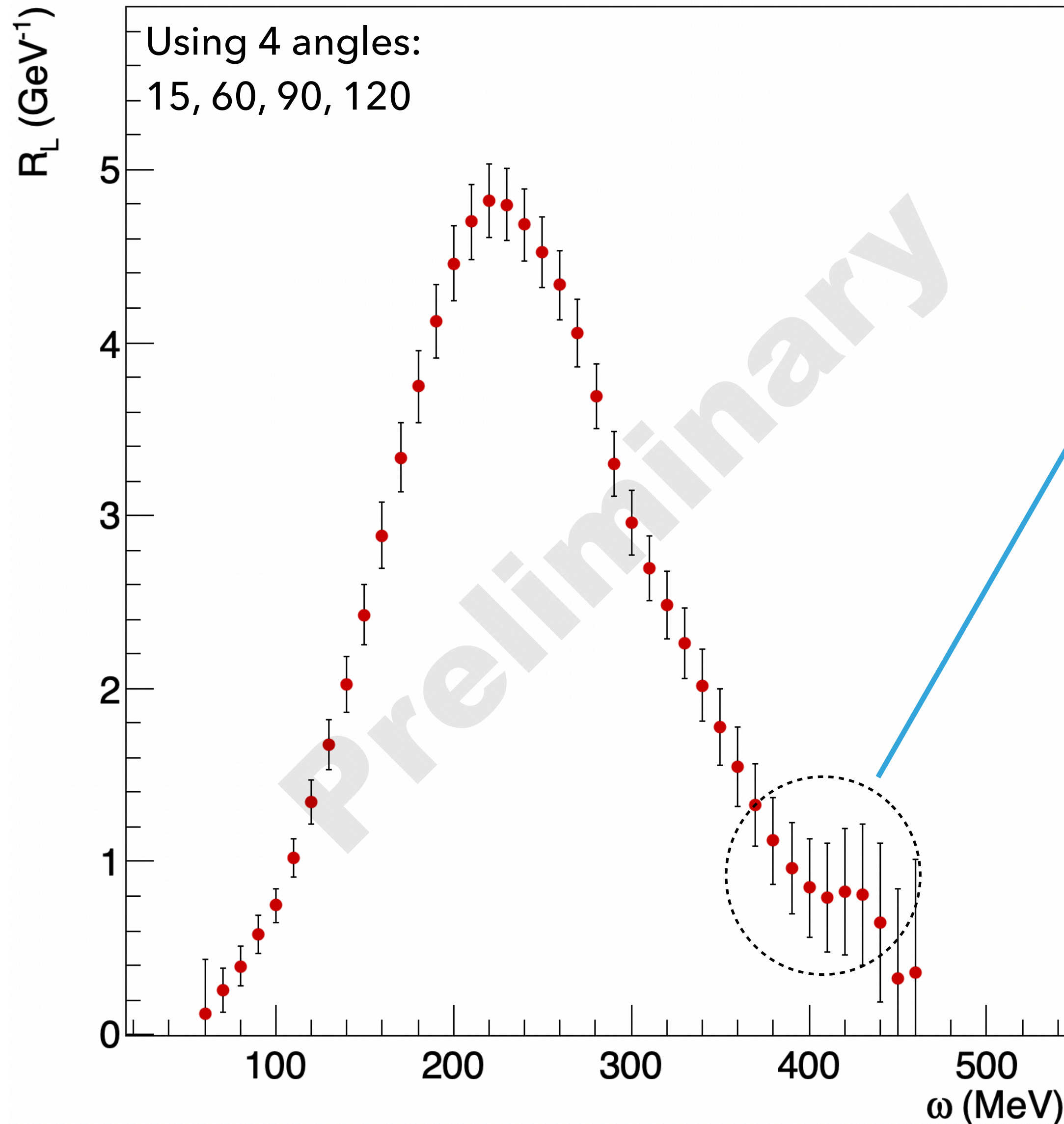
- ▶ Goodness-of-fit for Rosenbluth can indicate where a more careful study is needed.
- ▶ Edges of phase-space are more difficult to pin down.
- ▶ Lower energy transfer region is sensitive to interpolation process, acceptance and bin centering corrections.



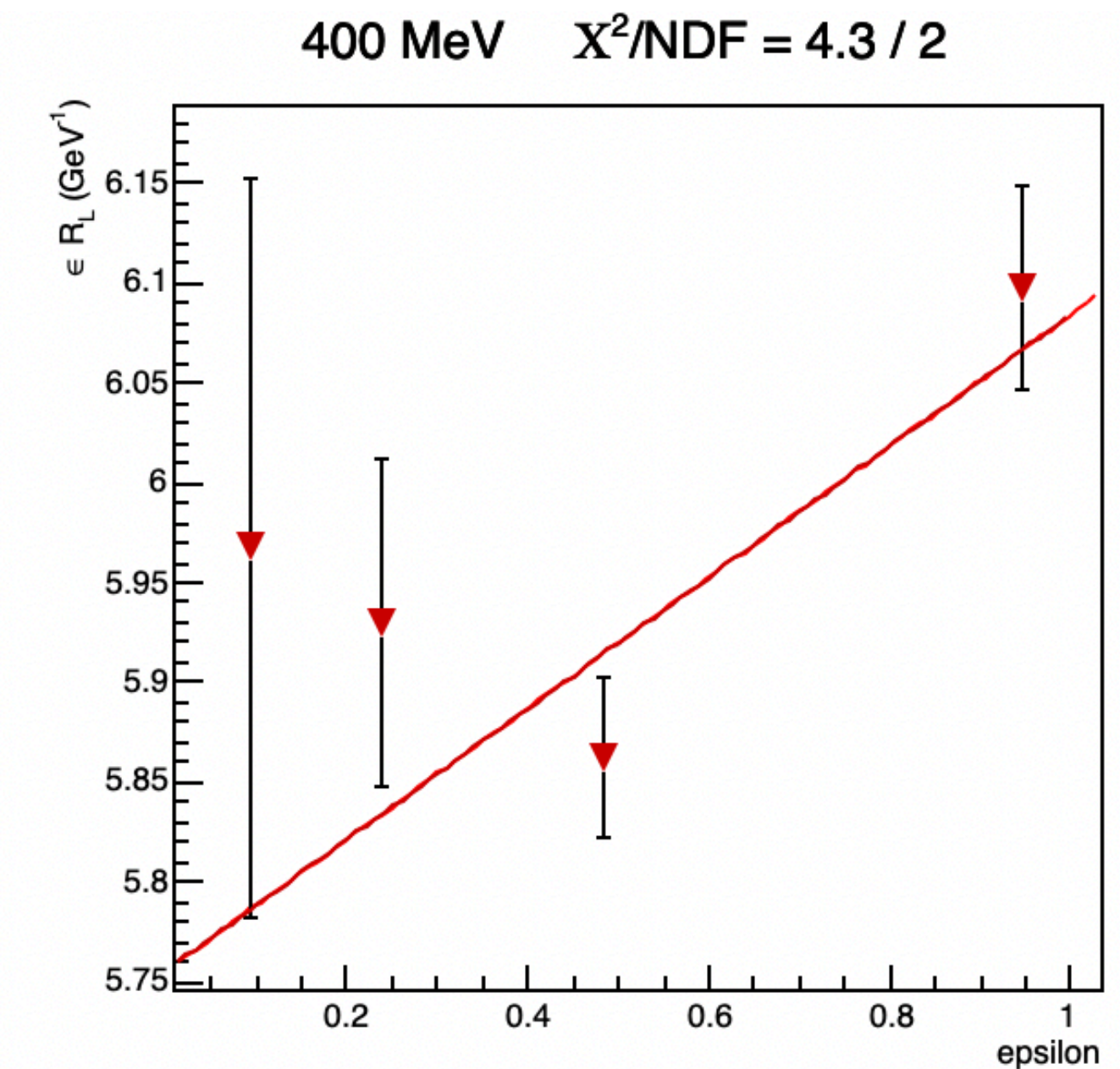
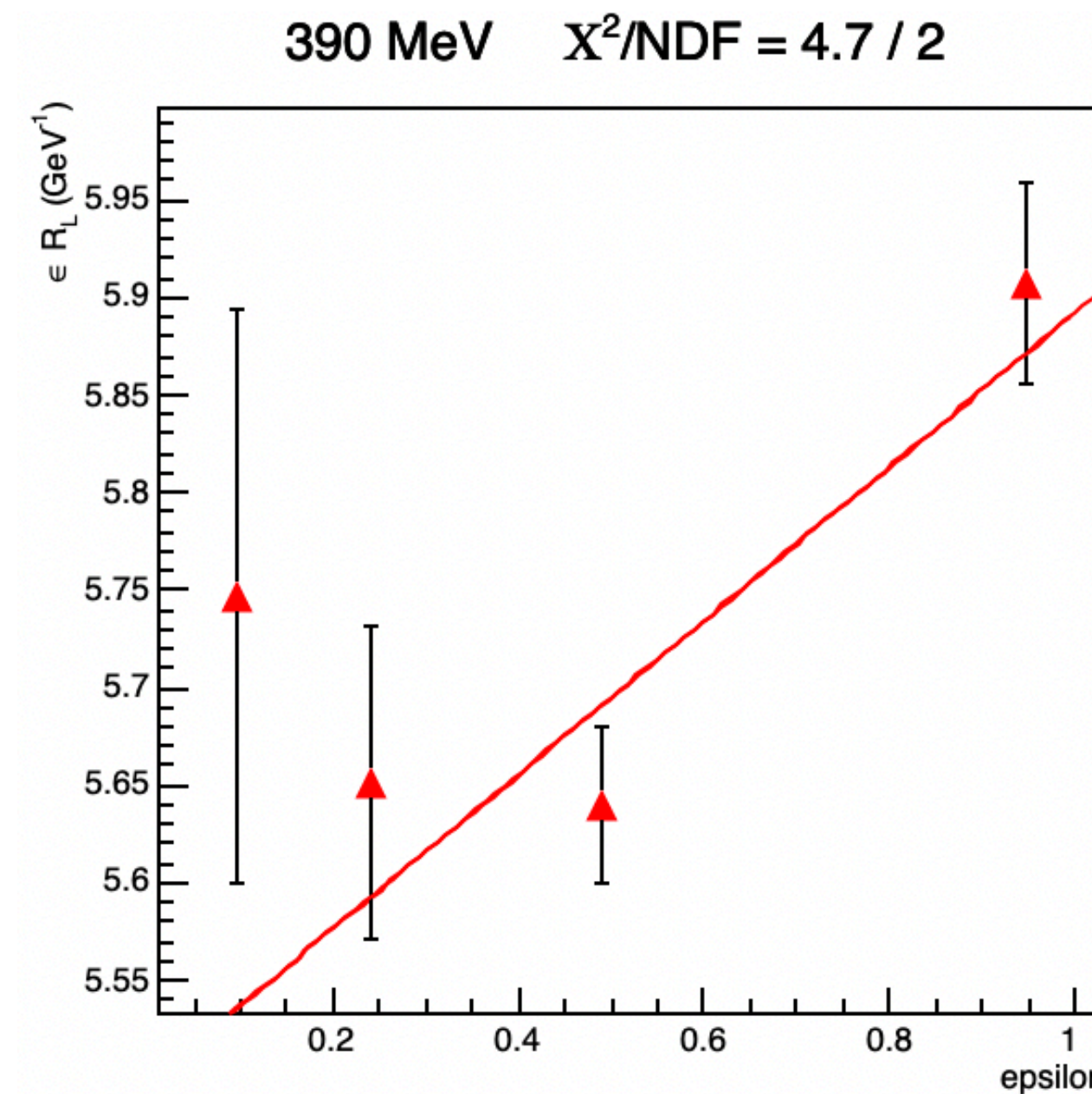


# CSR CARBON

$^{12}\text{C}$  at  $|q| = 650 \text{ MeV}$



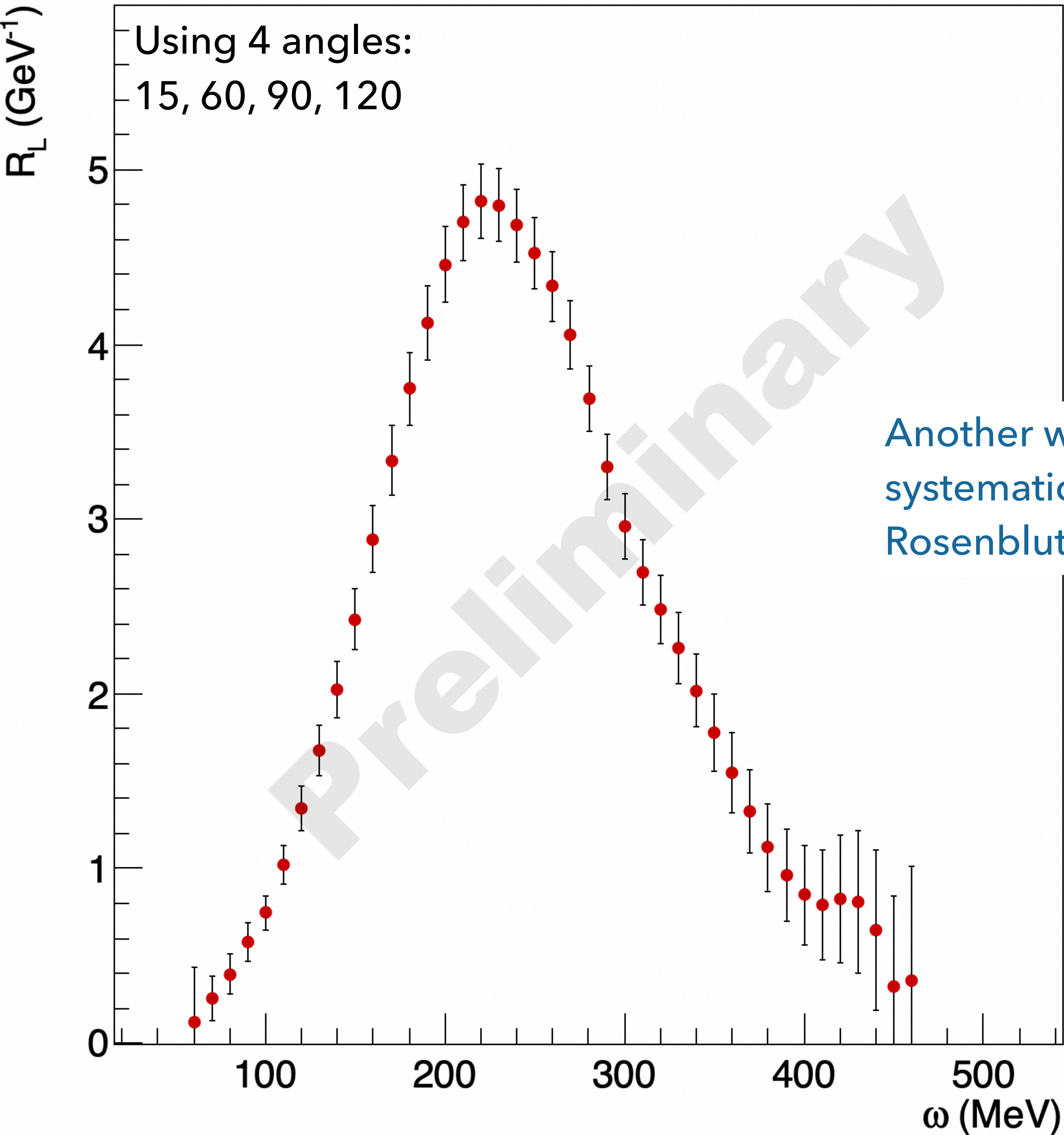
- ▶ Goodness-of-fit for Rosenbluth can indicate where a more careful study is needed.
- ▶ Edges of phase-space are more difficult to pin down.
- ▶ Higher energy transfer region is sensitive to interpolation process, elastic tail corrections, systematics of spectrometer low central momentum, and radiative corrections.



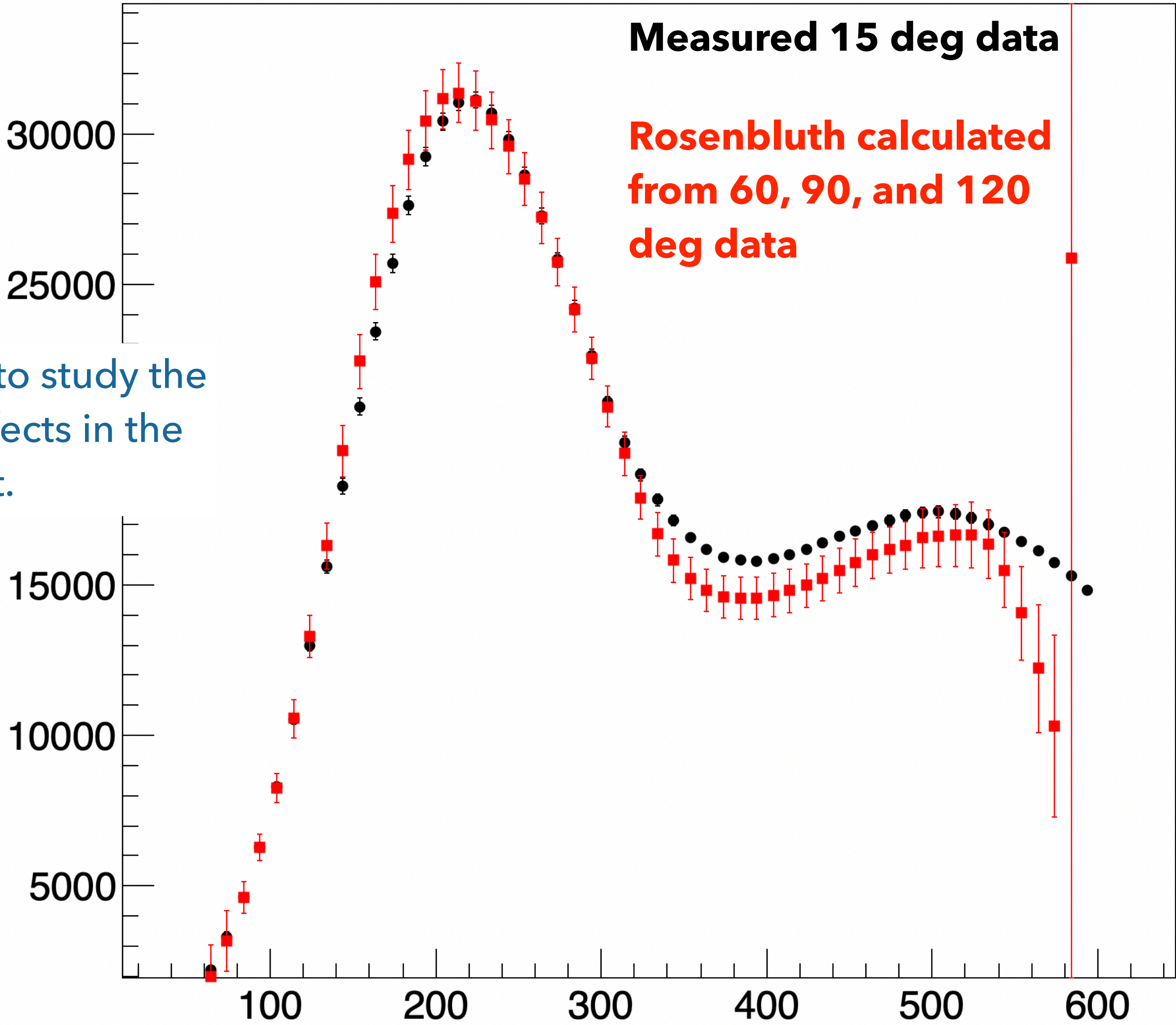


CSR CARBON

$^{12}\text{C}$  at  $|q| = 650 \text{ MeV}$



C 2448 Mev 15 deg





## SUMMARY / LOOKING AHEAD

- ▶ Recent efforts:
  - ▶ Full treatment of elastic excited states in Carbon
  - ▶ Updated the interpolation technique.
  - ▶ Much progress with the extended Helium target
  - ▶ A more detailed study of low and energy transfer and the Rosenbluth sensitivity in this region.
- ▶ Looking ahead:
  - ▶ The Iron, Carbon and now Helium CSR is very close to completion (expected this year).
    - ▶ Lead target analysis -> Need coulomb correction calculations beyond the EMA.



## THANK YOU!!!

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PEOPLE

and  
**Hall-A collaboration**

**PhD Students**

**Spokespersons**

**Run Coordinators**