

Proposal to PAC48

Measurement of the two-photon exchange contribution to the electron-neutron elastic scattering cross section

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SBS summer 2020
collaboration meeting

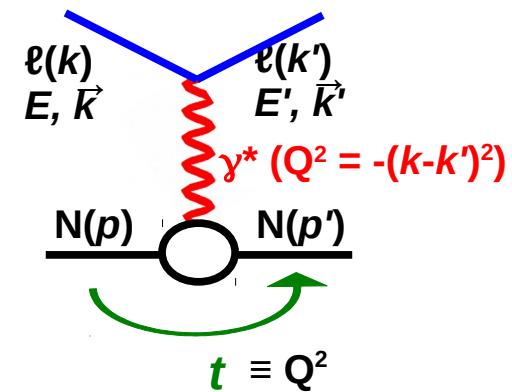
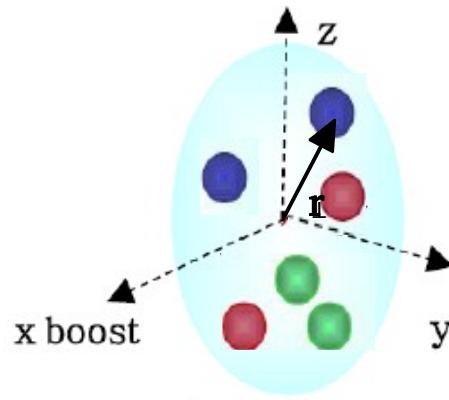
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Physics motivation (1)

Form Factors:

Fourier transform of **nucleon charge density** ; Measured with **elastic eN scattering**



Nucleon: **2** form factors:

G_E, G_M (Sachs);

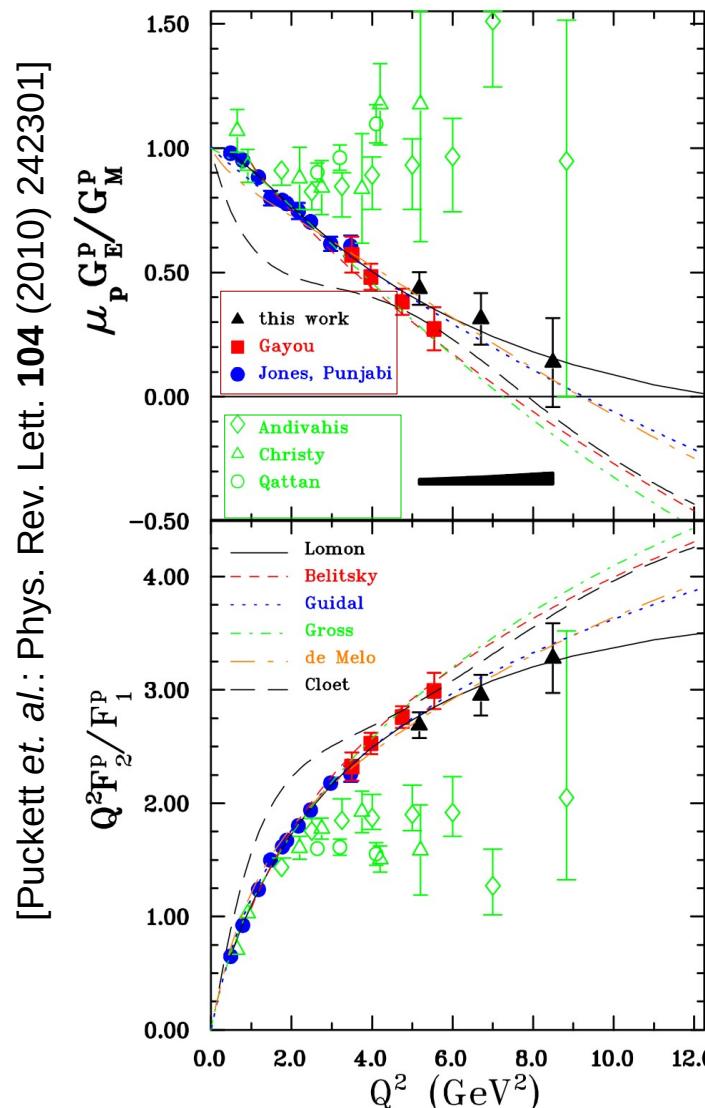
F_{1q}, F_{2q} (Dirac, Pauli);

In **one-photon exchange approximation**

$$\left(\frac{d\sigma}{d\Omega} \right)_{eN \rightarrow eN} = \frac{\sigma_{Mott}}{\epsilon(1 + \tau)} \left[\tau \cdot G_M^2(Q^2) + \epsilon \cdot G_E^2(Q^2) \right]$$

Physics motivation (2)

- **Two-Photon Exchange (TPE)** has an important effect on elastic ep scattering (G_E^p with double polarization vs Rosenbluth)
 - **Never measured on neutron!**
- => **Measurement of TPE on elastic en scattering at $Q^2 = 4.5 \text{ GeV}^2$ with G_M^n setup**



Technique (1)

Measurement of TPE on elastic en scattering at $Q^2 = 4.5 \text{ GeV}^2$ with G_M^n setup

$$R_{\text{corrected}} = f_{\text{corr}} \times \frac{N_{e,e'n}}{N_{e,e'p}} = \frac{\sigma_{Mott}^n \cdot (1 + \tau_p)}{\sigma_{Mott}^p \cdot (1 + \tau_n)} \times \frac{\epsilon \sigma_L^n + \sigma_T^n}{\epsilon \sigma_L^p + \sigma_T^p} = R_{\text{Mott}}$$

nuclear effects, effects of acceptance, etc

Two measurements at same Q^2 , two beam energies (i.e. two values of ϵ):

$$R_{\text{corrected}, \epsilon_1} = R_{\text{Mott}, \epsilon_1} \times \frac{\epsilon_1 \sigma_L^n + \sigma_T^n}{\epsilon_1 \sigma_L^p + \sigma_T^p}$$

$$R_{\text{corrected}, \epsilon_2} = R_{\text{Mott}, \epsilon_2} \times \frac{\epsilon_2 \sigma_L^n + \sigma_T^n}{\epsilon_2 \sigma_L^p + \sigma_T^p}$$

Ratio $A = R_{\text{corrected}, \epsilon_1} / R_{\text{corrected}, \epsilon_2}$

$$= B \times \frac{1 + \epsilon_1 S_c^n}{1 + \epsilon_2 S_c^n} \approx B \times (1 + \Delta \epsilon \cdot S_c^n),$$

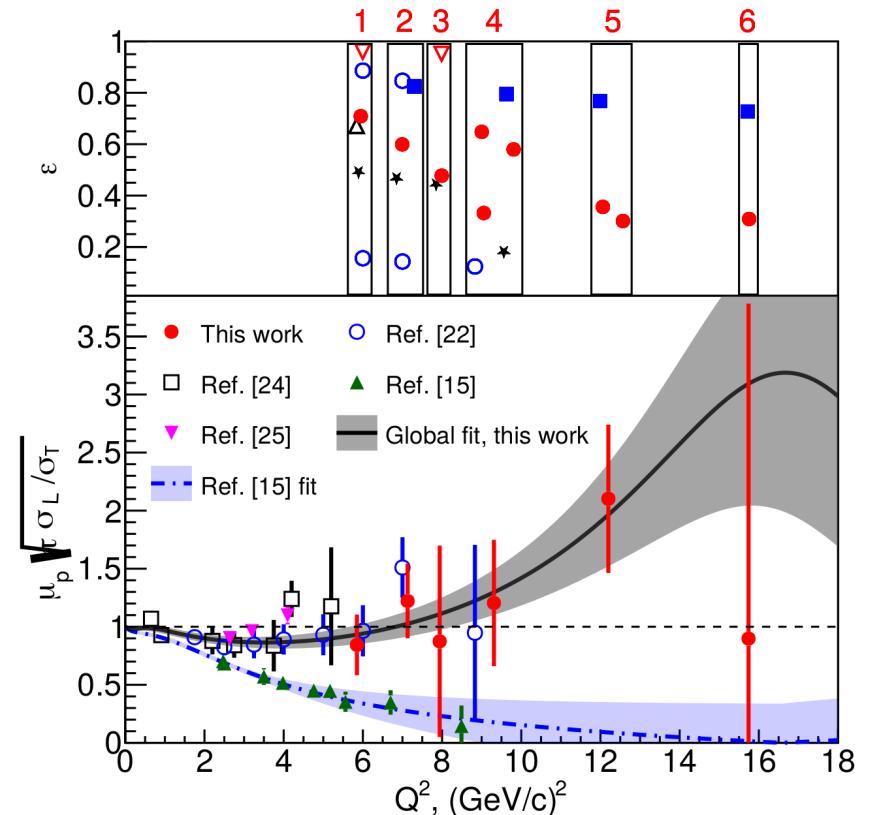
with $B = \frac{1 + \epsilon_1 S_c^p}{1 + \epsilon_2 S_c^p}$ and $S_c^{n/p} = \frac{\sigma_L^{n/p}}{\sigma_T^{n/p}}$

$\Rightarrow S_c^p \approx 0.107 \pm 0.010$ at $Q^2 = 4.5 \text{ GeV}^2$

Figure from:

E. Christy et al., "Two-photon exchange in electron-proton elastic scattering at large four-momentum transfer"

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Technique (2)

$$S_c^n = \frac{A - B}{B \Delta \epsilon} \quad \text{and} \quad S_c^n = \frac{\sigma_L^n}{\sigma_T^n} = \frac{(G_E^n + nTPE)^2}{\tau G_M^2} \Rightarrow \boxed{\frac{(G_E^n + nTPE)^2}{\tau G_M^2} = \frac{A - B}{B \Delta \epsilon}}$$

$$A = R_{corrected, \epsilon_1} / R_{corrected, \epsilon_2}$$

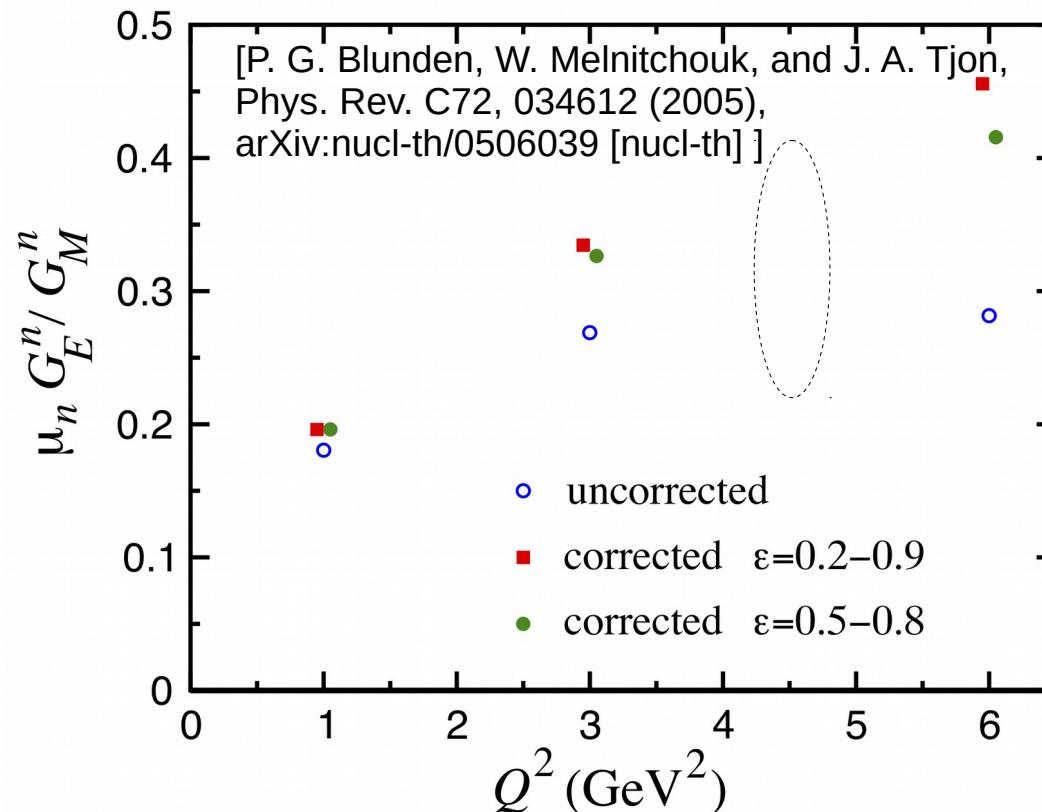
$$B = \frac{1 + \epsilon_1 S_c^p}{1 + \epsilon_2 S_c^p}$$

$$S_c^p \approx 0.107 \pm 0.010$$

Knowing $\mu_n(G_E^n/G_M^n) = 0.55 \pm 0.05$

[V. Punjabi, C. F. Perdrisat, M. K. Jones, E. J. Brash, and C. E. Carlson, Eur. Phys. J. A51, 79 (2015), arXiv:1503.01452 [nucl-ex].]

and using prediction of Blunden, Melnitchouk, Tjon => **nTPE = 0.069 ± 0.012(syst)**



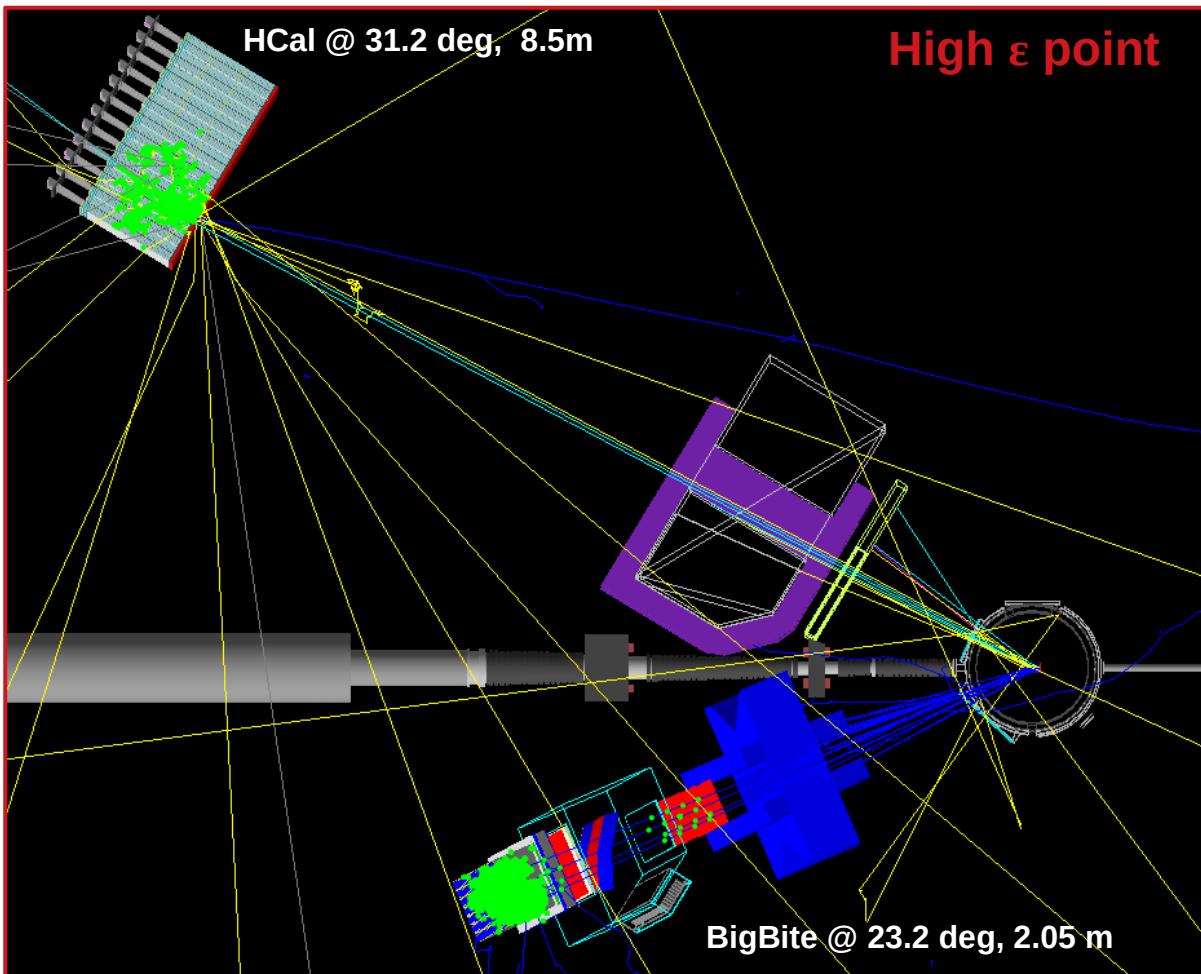
Experimental setup

* Same setup as G_M^n (BigBite+SBS/HCal)

* 2 ϵ settings at $Q^2 = 4.5 \text{ GeV}^2$:

Point	Q^2 (GeV/c) ²	E (GeV)	E' (GeV)	θ_{BB} degrees	θ_{SBS} degrees	ϵ
1	4.5	4.4	2.0	41.88	24.67	0.599
2	4.5	6.6	4.2	23.23	31.2	0.838

=> already existing GMn setting

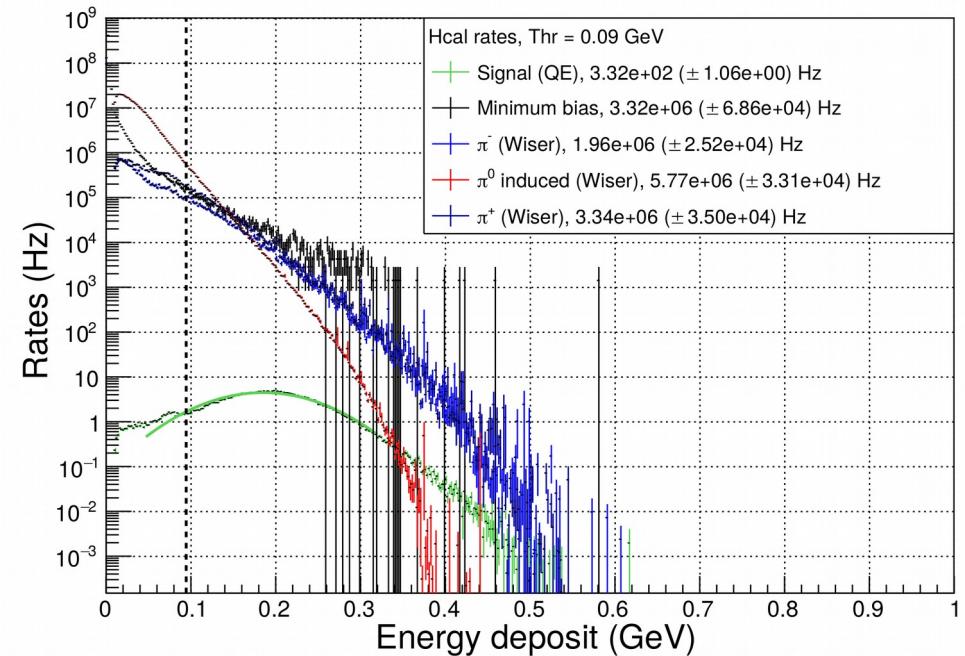
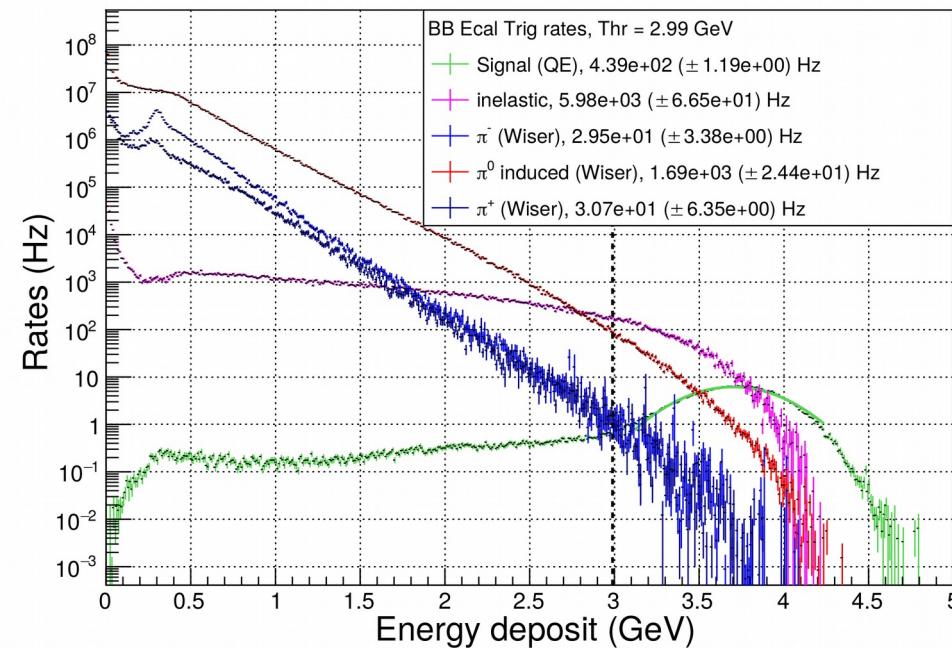


Expected rates : background/trigger

n-TPE, $\epsilon = 0.838$

30 μ A, 15cm LD₂

n-TPE, $\epsilon = 0.838$



BigBite threshold:
elastic peak – 2.5 σ

HCal threshold:
setup to select
90 % of elastic
peak

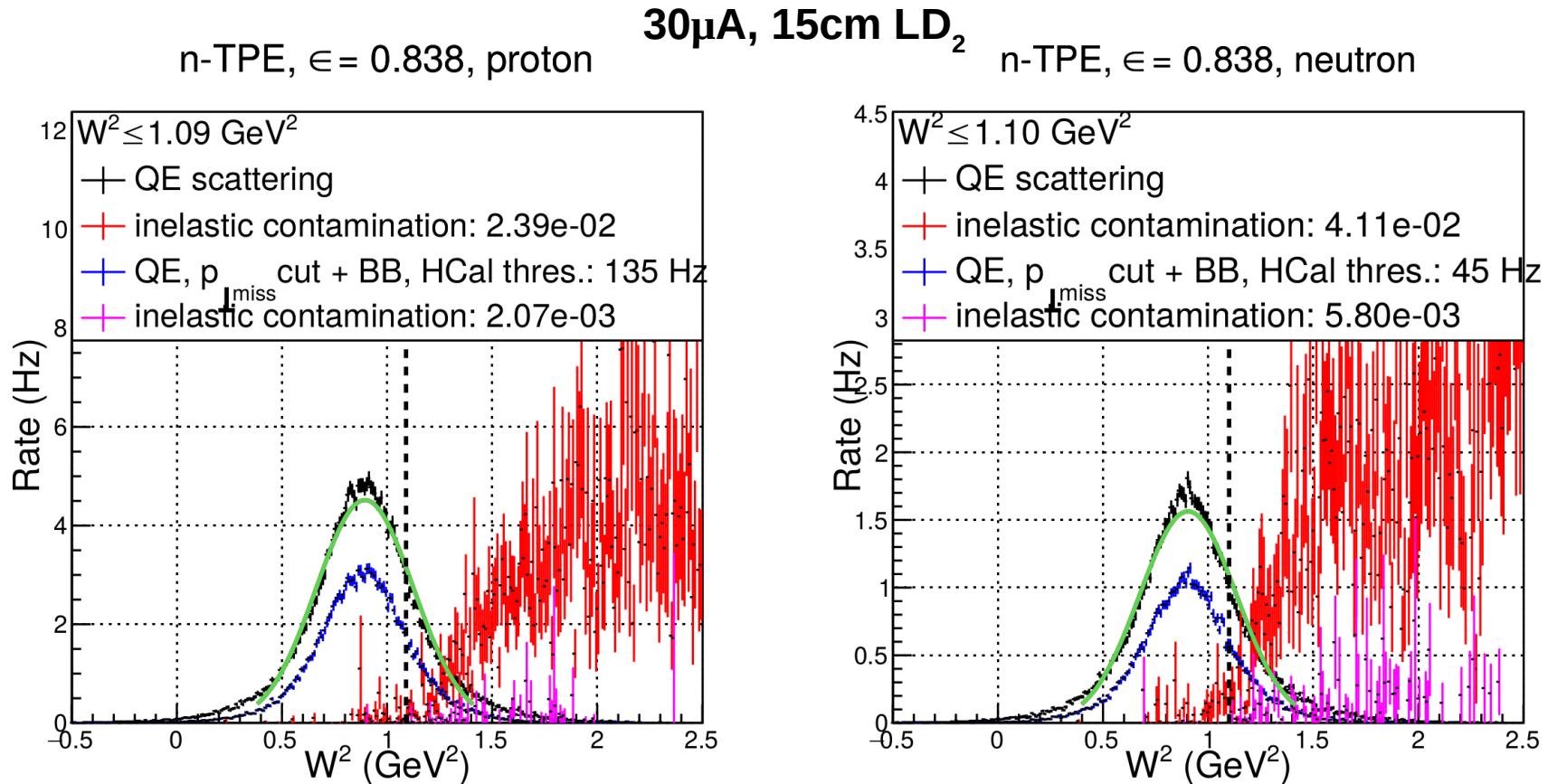
Consistent with
calculations by
P. Datta for G^M_n

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Point (ϵ)	1 (0.599)		2 (0.838)	
	BigBite rates (Hz)	HCal rates (Hz)	BigBite rates (Hz)	HCal rates (Hz)
Total (min. bias - HCal only)	1.37×10^4	1.22×10^7 / 3.39×10^6	8.17×10^3	1.11×10^7 / 3.32×10^6
Coincidence rate (with min. bias HCal)	5.01×10^3		2.72×10^3	
	1.39×10^3		8.14×10^2	

Assuming minimum bias is correct : trigger rates <2 KHz

Expected rates: Quasi Elastic + inelastic contamination



Statistics assuming 12 hours of data Inelastic contamination <1%

NB: $p_{\perp \text{miss}} =$

$$\sqrt{(q_x - p'_x)^2 + (q_y - p'_y)^2}$$

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Point (ϵ)	N_{QE} (e-n)	N_{QE} (e-p)
1 (0.599)	9.07×10^5	2.55×10^6
2 (0.838)	1.94×10^6	5.83×10^6

Systematics

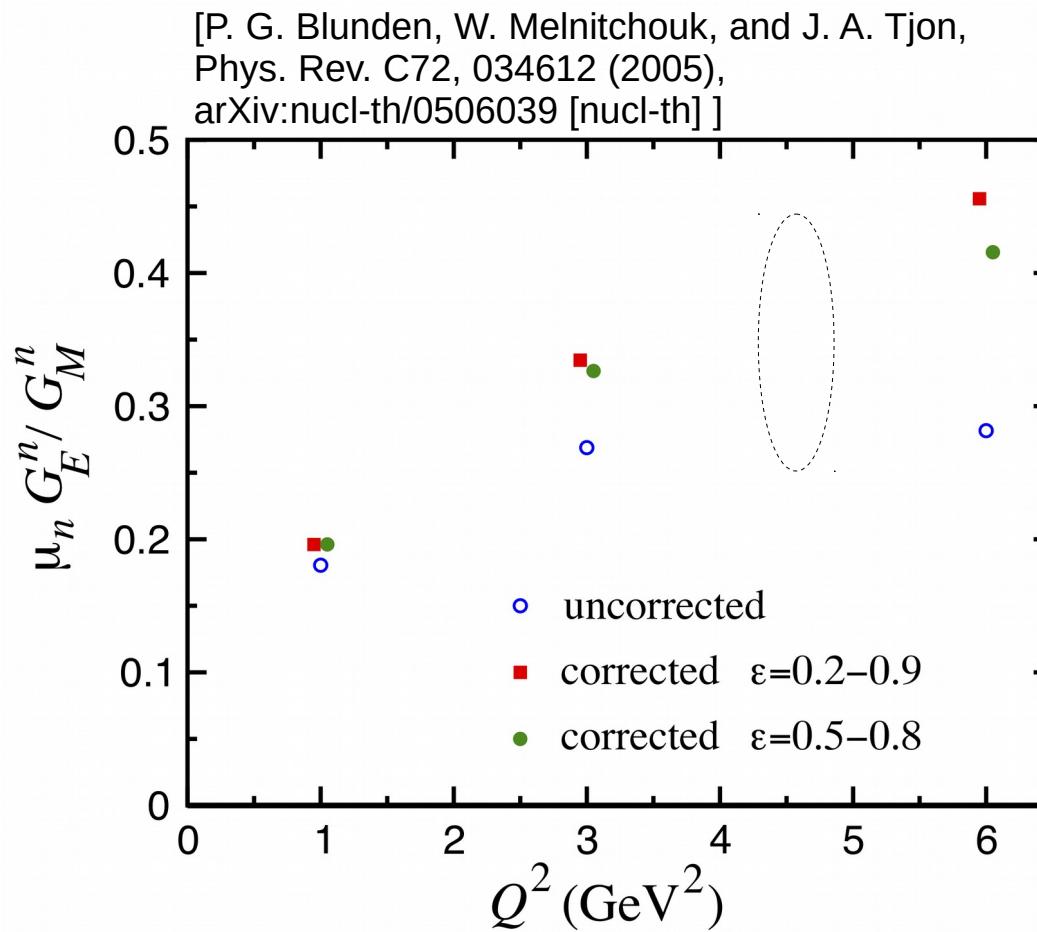
- * Using similar en/ep ratio technique as GMn to obtain neutron form factors:
many sources of systematics uncertainties cancel out;
- * main source of systematic uncertainties comes from S_c^p , $\mu_n(G_E^n/G_M^n)$

Kinematic (ϵ)	(1) 0.599	(2) 0.838
Acceptance losses	0.5 %	3.0 %
Inelastic contamination	0.9 %	0.6 %
Nucleon mis-identification*	0.6 %	
Syst. error on $R = f_{corr} \times N_{e,e'n}/N_{e,e'p}$ (Quadratic sum of the errors above)	1.3 %	3.1 %

Syst. error on p cross section ($S_c^p = \sigma_L^p/\sigma_T^p$)	± 0.01
Syst. error on n form factor ($\mu_n G_E^n/G_M^n$)	± 0.05
Syst. error on Rosenbluth slope (TPE)	± 0.012

Expected results

Considering predictions of Blunden, Melnitchouk, and Tjon, [Phys. Rev. C72, 034612 (2005)]
Our measurement of nTPE will be **0.069 ± 0.012(syst) ± 0.010 (stat)**



Beam time request

Task	Target	I_{exp}	time requested
Data taking (Prod.)	15 cm LD ₂	30 μ A	12 hours
Data taking (Syst.)	15 cm “Dummy”	30 μ A	4 hours
Data taking (Prod.)	15 cm LD ₂	15 μ A	12 hours
Data taking (Syst.)	15 cm “Dummy”	15 μ A	4 hours
Setting changes (BigBite move, beam pass change)			8 hours
Beam tune after beam pass change			8 hours
Total			48 hours

Insertion in existing schedule

Step #	task	Q ² (GeV/c) ²	$\theta_{BB} / \theta_{SBS}$ degrees	Beam GeV	Time hours	Tech work time (h)
4b (install GEN-RP)	GEN-RP		41.9 / 24.7	-	4	4
4c (GEN-RP)	Production	4.5	41.9 / 24.7	4.4	104 (calendar) (52 PAC hours)	
4d (remove GEN-RP)	GEN-RP		41.9 / 24.7	-	56	24
4e (GMn/nTPE low ϵ)	Production	4.5	41.9 / 24.7	4.4	64 (calendar) (32 PAC hours)	
5a (conf. change)	BB/SBS/HCal		32.5 / 31.1	-	32	16
5b (beam tune)	beam		32.5 / 31.1	4.4	4	
5c (GMn)	Production	3.5	32.5 / 31.1	4.4	64 (calender) (32 PAC hours)	
6a (pass change)	beam/BB		23.2 / 31.1	6.6	8	4
6b (beam tune)	beam		23.2 / 31.1	6.6	8	
6c see Table. X	Production	4.5	23.2 / 31.1	6.6	64 (calendar) (32 PAC hours)	
7a (conf. change) + (pass change)	BB/SBS/HCal beam		58.4 / 17.5 58.4 / 17.5	4.4	32 during SBS move	16
7b (beam tune)	beam	-	58.4 / 17.5	4.4	4	
7c	Production	5.7	58.4 / 17.5	4.4	50 (calendar) (25 PAC hours)	13

Summary

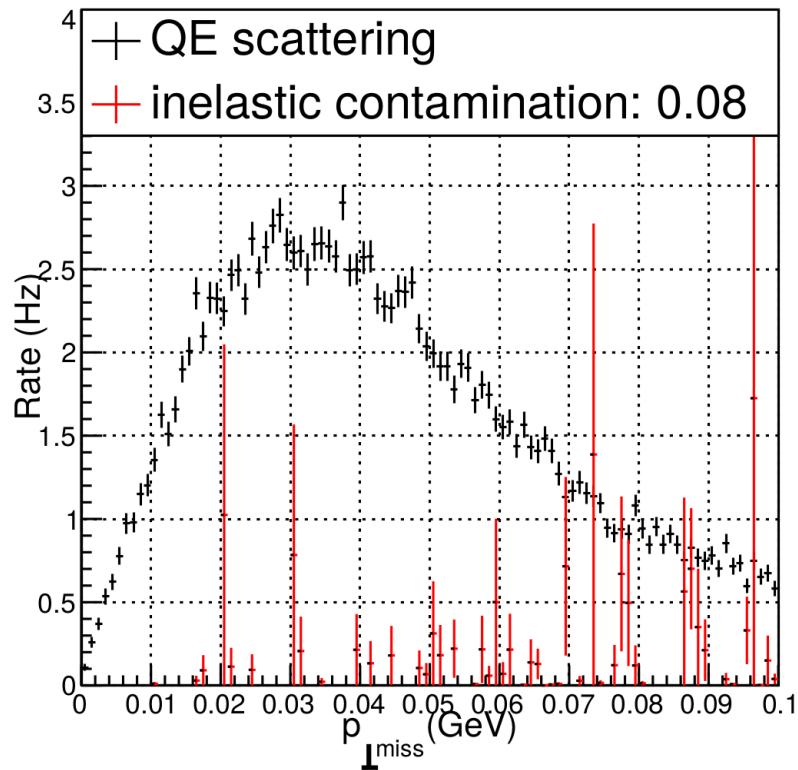
- * No existing data on two-photon exchange contribution on elastic e-n
=> Unique measurement;
- * Uses existing G_m^n setup *with no additional subsystem*
- * Can be inserted in the schedule *without SBS move*
=> reasonable time addition to the schedule

Backup

Expected rates: Quasi Elastic + inelastic contamination

$$p_{\perp \text{ miss}} = \sqrt{(q_x - p'_x)^2 + (q_y - p'_y)^2}$$

n-TPE, $\epsilon = 0.838$, proton



n-TPE, $\epsilon = 0.838$, neutron

