

# Update on Omega Hadronization Studies

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# Outline

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1. Introduction
2. The experiment
3. Particle Identification
4. Kinematic variables and observable
5. Binning
6. Electron Ratio
7. Background Subtraction
8. Results
9. Simulations
10. Next steps

# Introduction

- This analysis follows a line of investigation,
  - $\pi^0$  analysis from Taisiya Mineeva
  - $\eta$  meson hadronization from Orlando Soto
- First studies ever on omega meson hadronization.
- $\omega(782)$ :
  - Quark content:  $(u \bar{u} + d \bar{d})$
  - Mean lifetime:  $7.75 \times 10^{-23} [s]$
  - Decay channel:  $\omega \rightarrow \pi^+ \pi^- \pi^0 \rightarrow \pi^+ \pi^- \gamma \gamma$

$\omega$ DECAY MODES	Fraction ( $\Gamma_i/\Gamma$ )
$\Gamma_1$ $\pi^+ \pi^- \pi^0$	$(89.3 \pm 0.6) \%$
$\Gamma_2$ $\pi^0 \gamma$	$(8.40 \pm 0.22) \%$
$\Gamma_3$ $\pi^+ \pi^-$	$(1.53 \pm 0.06) \%$

$\pi^0$ DECAY MODES	Fraction ( $\Gamma_i/\Gamma$ )
$2\gamma$	$(98.823 \pm 0.034) \%$
$e^+ e^- \gamma$	$(1.174 \pm 0.035) \%$

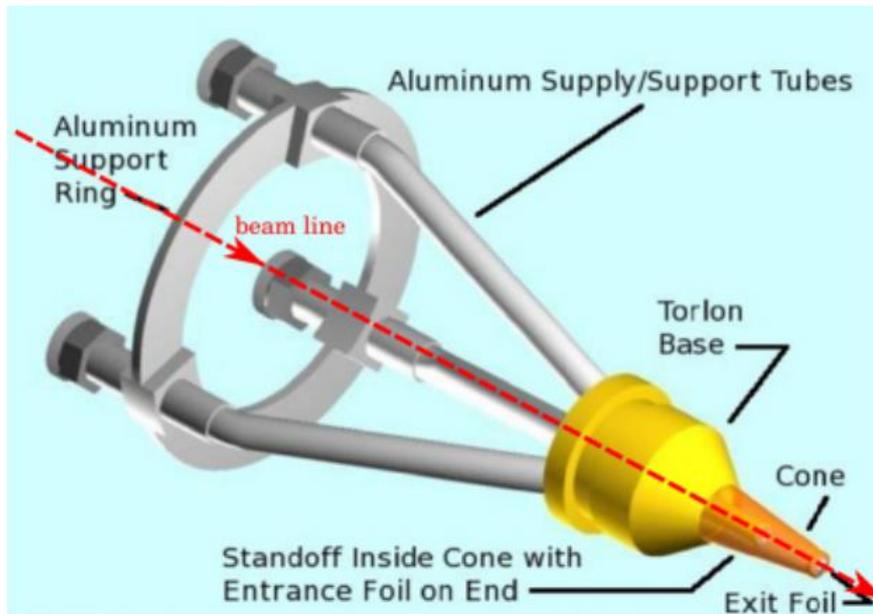
$\eta$ DECAY MODES	Fraction ( $\Gamma_i/\Gamma$ )
<b>Neutral modes</b>	
neutral modes	$(72.12 \pm 0.34) \%$
$2\gamma$	$(39.41 \pm 0.20) \%$
$3\pi^0$	$(32.68 \pm 0.23) \%$
<b>Charged modes</b>	
charged modes	$(28.10 \pm 0.34) \%$
$\pi^+ \pi^- \pi^0$	$(22.92 \pm 0.28) \%$
$\pi^+ \pi^- \gamma$	$(4.22 \pm 0.08) \%$

- Main difficulty: low statistics analysis.

# EG2 run: E02-104 experiment

Double target system composed of a solid heavy target  $A(C, Fe, Pb)$  and a liquid target  $D$  (Deuterium) positioned simultaneously in the beam line.

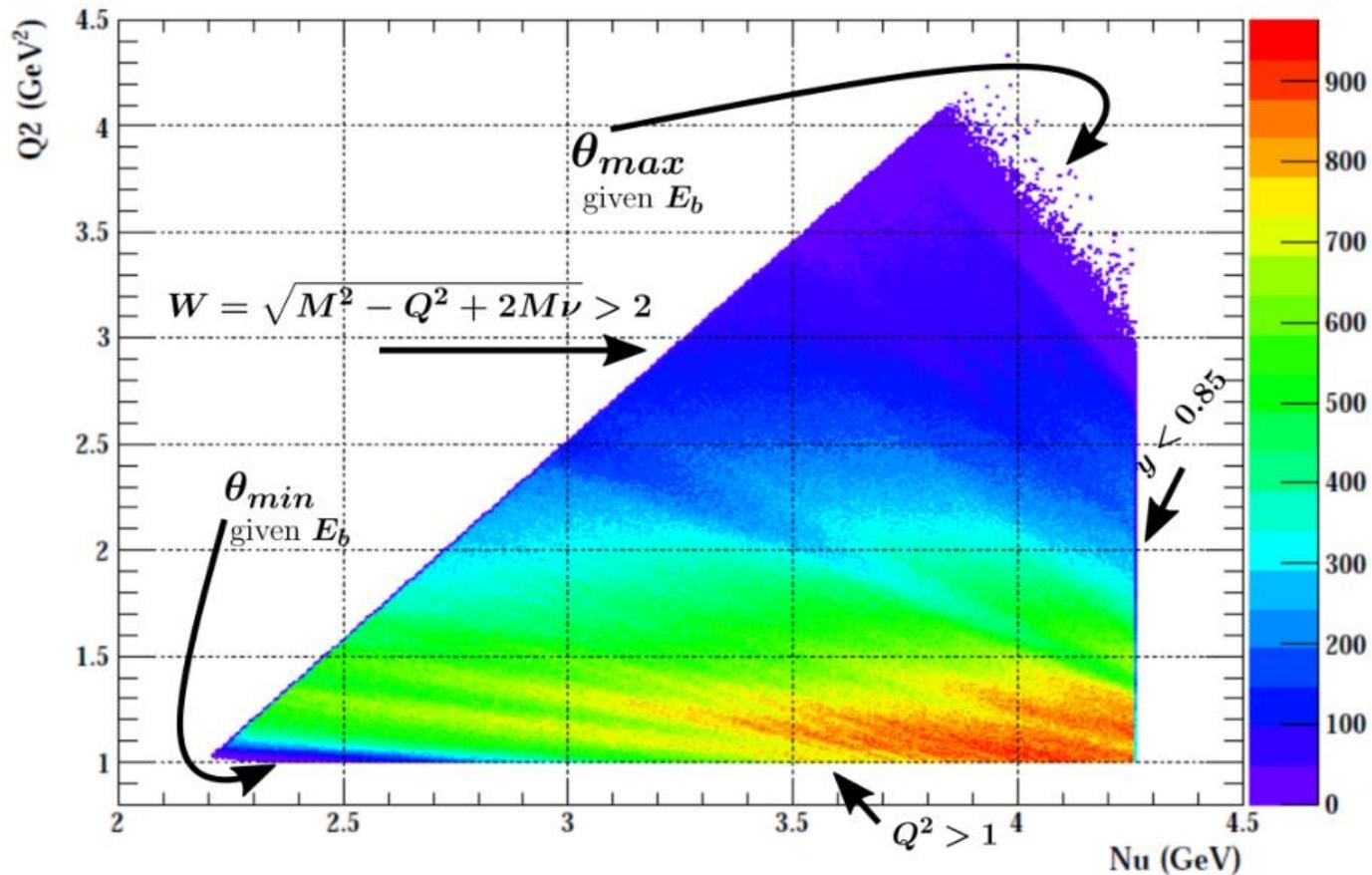
**Main feature:** same luminosity for different nuclei!



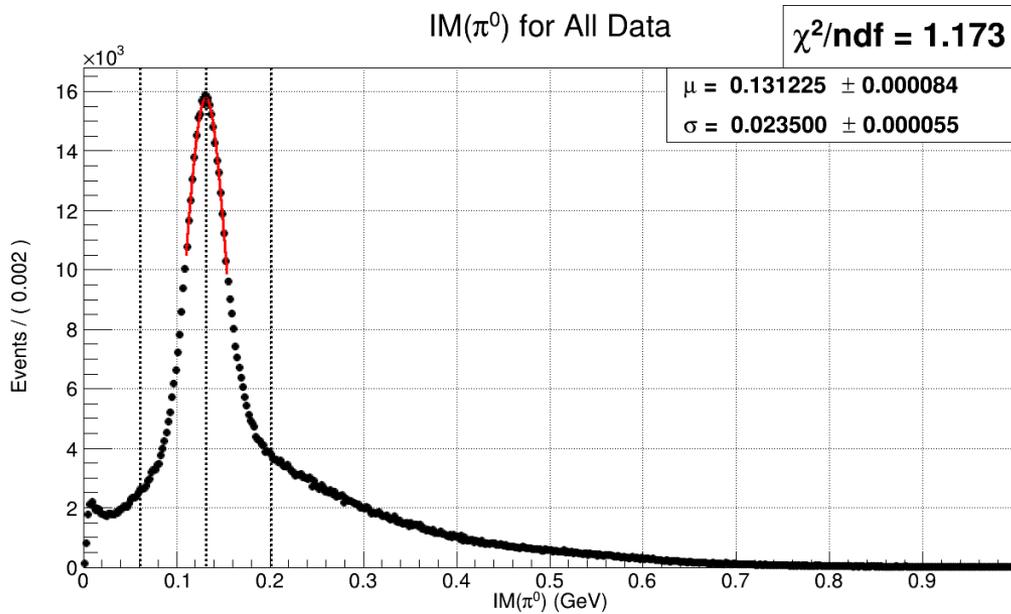
# Electron Identification

The kinematic region in the DIS regime is:  $Q^2 > 1$ ,  $W > 2$ ,  $y_B < 0.85$

Q2:Nu



# Pion Identification



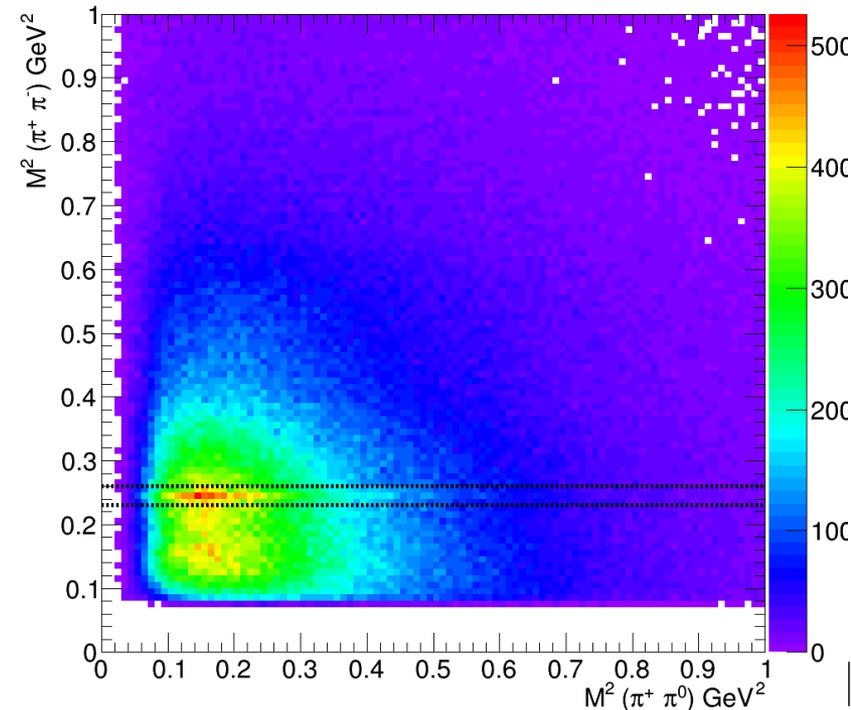
Gaussian fit around  $\pi^0$  invariant mass.  
 Horizontal lines represent the  $3\sigma$  cut around  
 obtained mean.

$$\pi^0 \text{ mass} = 0.059 \text{ [GeV]} < M_{\gamma\gamma} < 0.204 \text{ [GeV]}$$

$$\pi^+\pi^- \text{ mass} = M_{\pi^+\pi^-}^2 < 0.23 \text{ [GeV]} \text{ or } M_{\pi^+\pi^-}^2 > 0.26 \text{ [GeV]}$$

(to exclude kaons band)

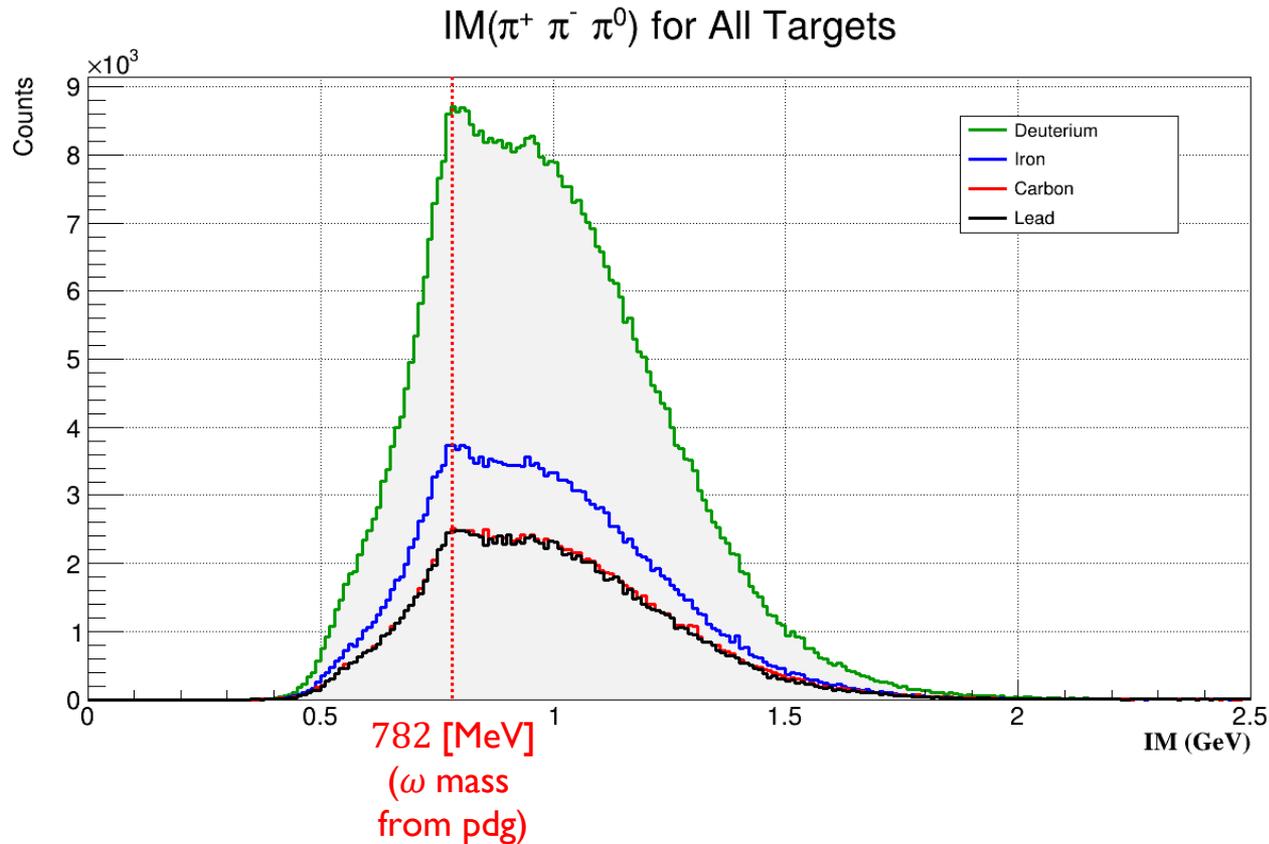
Band represented by the two horizontal lines.



# $\omega$ selection

Selected events must accomplish:  $N_{\pi^+} \geq 1 \wedge N_{\pi^-} \geq 1 \wedge N_{\gamma} \geq 2$

And keep all possible combinations:  $\binom{N_{\pi^+}}{1} \times \binom{N_{\pi^-}}{1} \times \binom{N_{\gamma}}{2}$



# Kinematic Variables and Observable

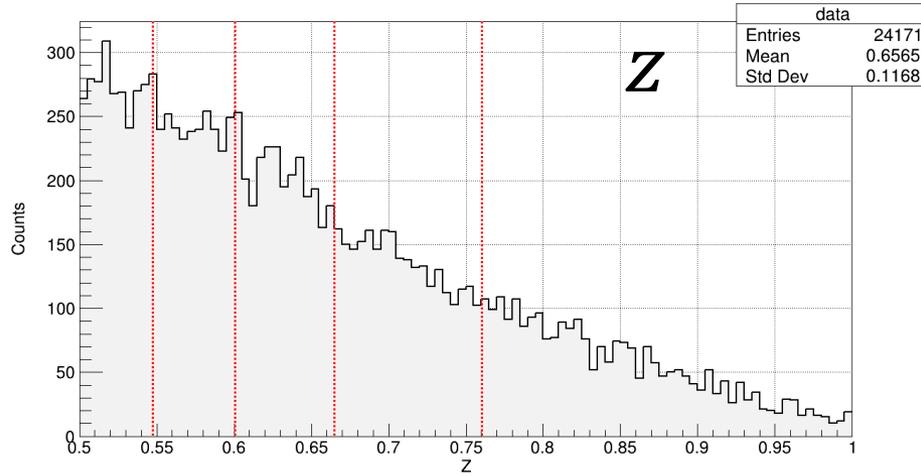
- To continue, we must define the following DIS kinematic variables in the laboratory frame.
  - $Q^2 = 4 E_b E' \sin^2 \left( \frac{\theta}{2} \right)$  : virtuality of the probe electron.
  - $\nu = E_b - E'$  : energy transferred from the electron to the target.
  - $z = E_h / \nu$  : fraction of the virtual photon energy carried by the produced hadron.
  - $p_T^2 = p_h^2 (1 - \cos(\theta_{PQ}))$  : transversal momentum w.r.t. virtual photon direction.
- **Observable: Multiplicity Ratio.**
  - For our case:  $h = \omega$ ,  $A = \{\text{Carbon, Iron, Lead}\}$  and  $D = \{\text{Deuterium}\}$ .

$$R_h^A \equiv \frac{\left( \frac{N_h(Q^2, \nu, z, p_T^2)}{N_e^{DIS}(Q^2, \nu)} \right)_A}{\left( \frac{N_h(Q^2, \nu, z, p_T^2)}{N_e^{DIS}(Q^2, \nu)} \right)_D}$$

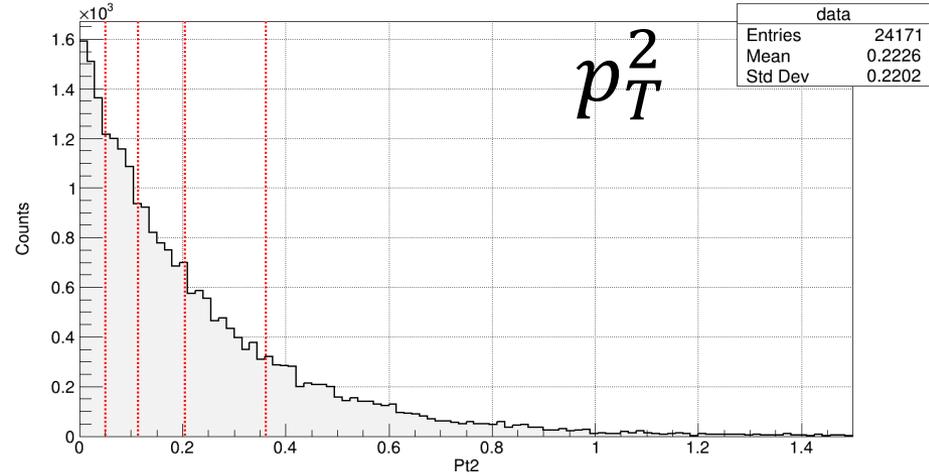
# Binning

$z$	0.5	0.55	0.60	0.67	0.76	1.0
$p_T^2$	0.0	0.05	0.11	0.20	0.36	1.5
$Q^2$	1.0	1.19	1.38	1.62	2.00	4.0
$\nu$	2.2	3.23	3.55	3.79	4.0	4.2

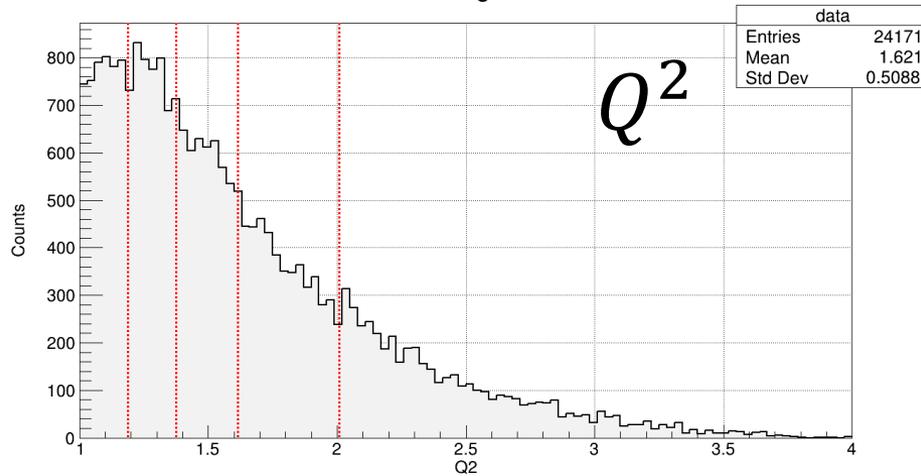
Z binning for Pb



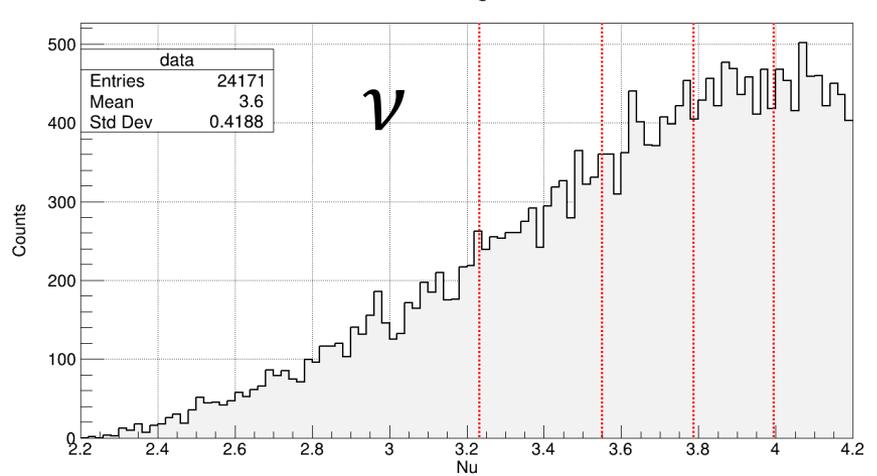
Pt2 binning for Pb



Q2 binning for Pb



Nu binning for Pb



# Electron Ratios

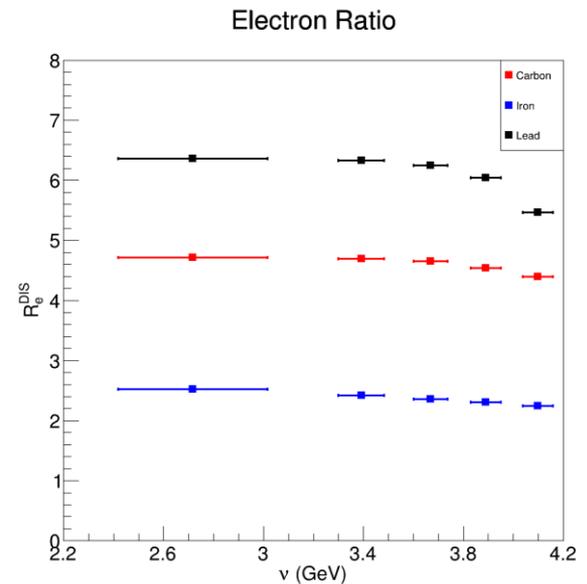
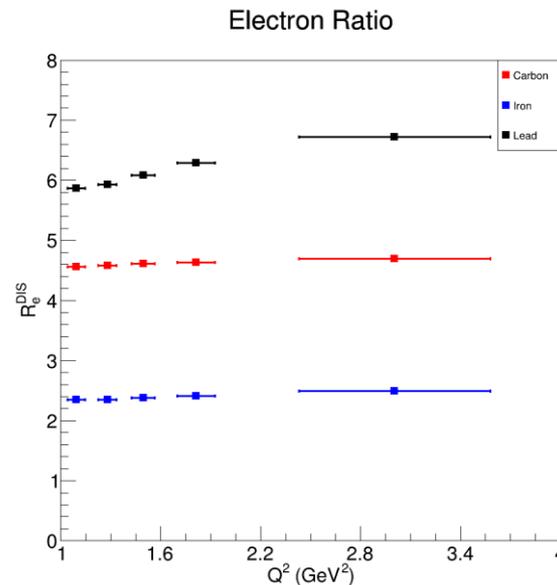
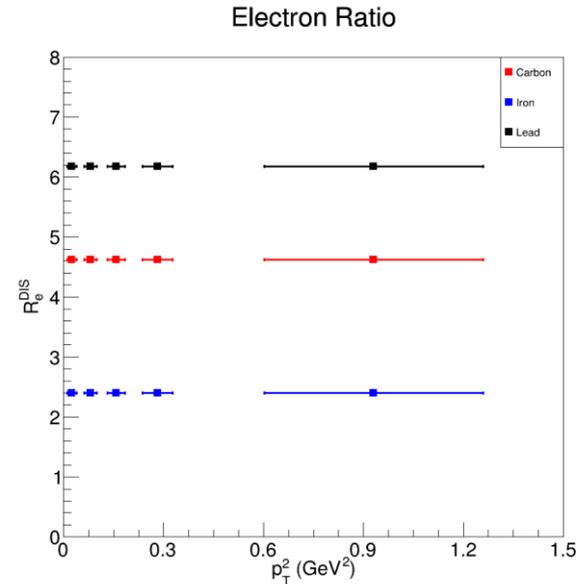
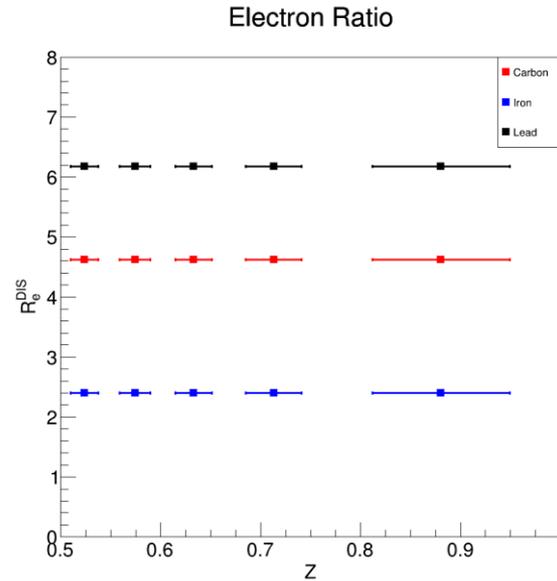
From the previous MR definition,

$$R_h^A \equiv \frac{\left( N_h(Q^2, \nu, z, p_T^2) \right)_A}{\left( N_e^{DIS}(Q^2, \nu) \right)_A}$$

$$R_h^D \equiv \frac{\left( N_h(Q^2, \nu, z, p_T^2) \right)_D}{\left( N_e^{DIS}(Q^2, \nu) \right)_D}$$

we can extract the Electron Number Ratio:

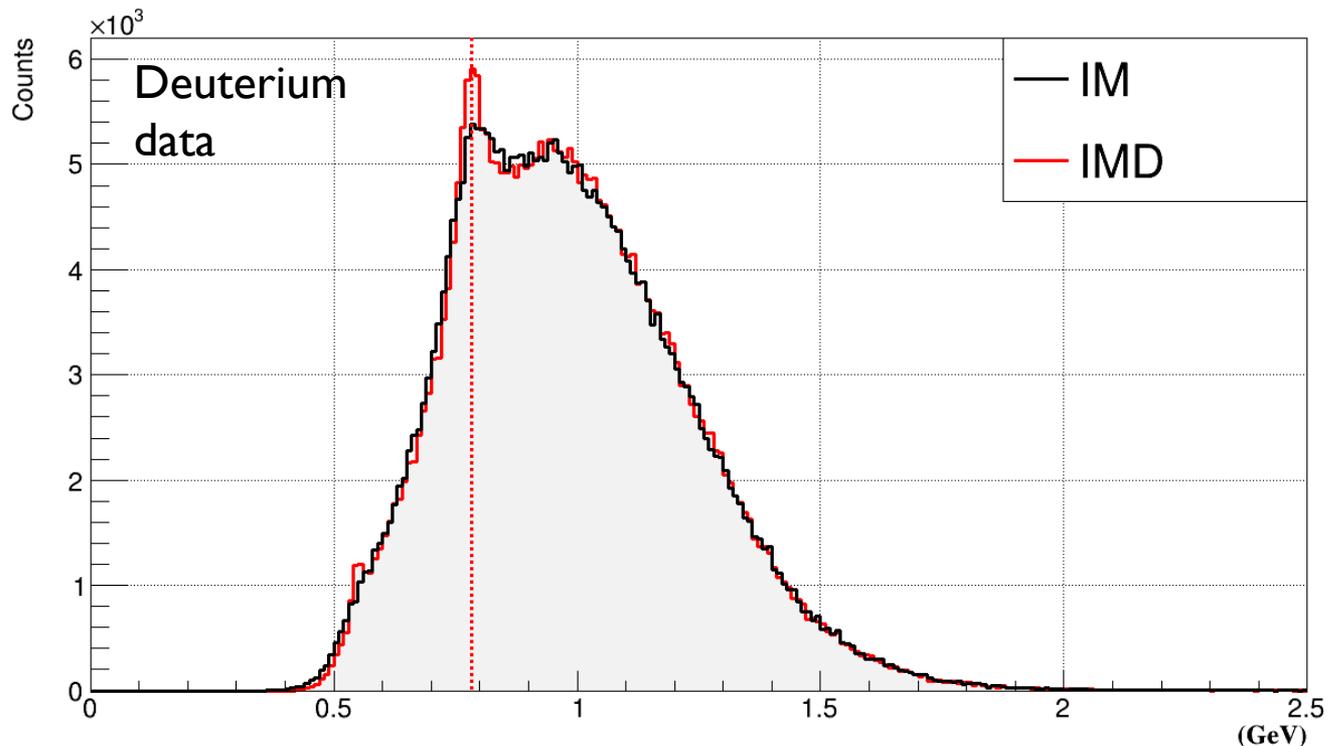
$$ER \equiv \frac{\left( N_e^{DIS}(Q^2, \nu) \right)_D}{\left( N_e^{DIS}(Q^2, \nu) \right)_A}$$



# Background Subtraction

In order to enhance the signal, we use the **Invariant Mass Difference**.

$$IMD \equiv IM(\omega) - IM(\pi^+) - IM(\pi^-) - IM(\gamma\gamma)$$



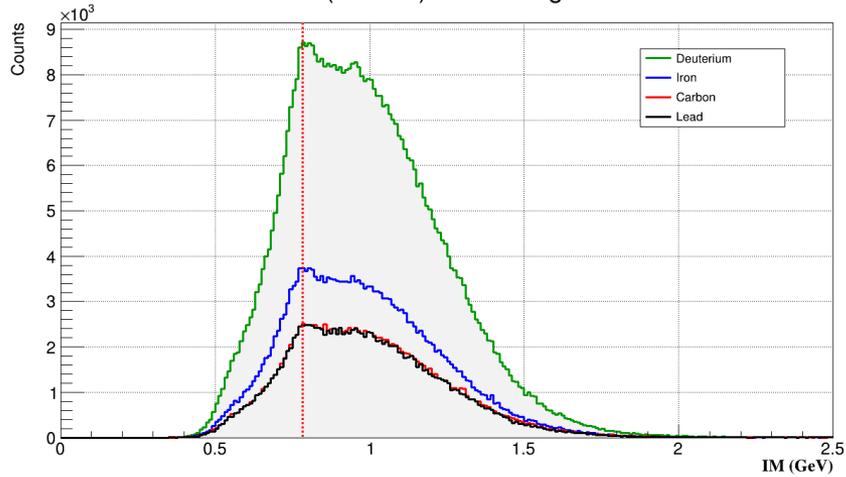
For more examples of this method,

DOI: [10.1103/PhysRevD.85.052005](https://doi.org/10.1103/PhysRevD.85.052005)

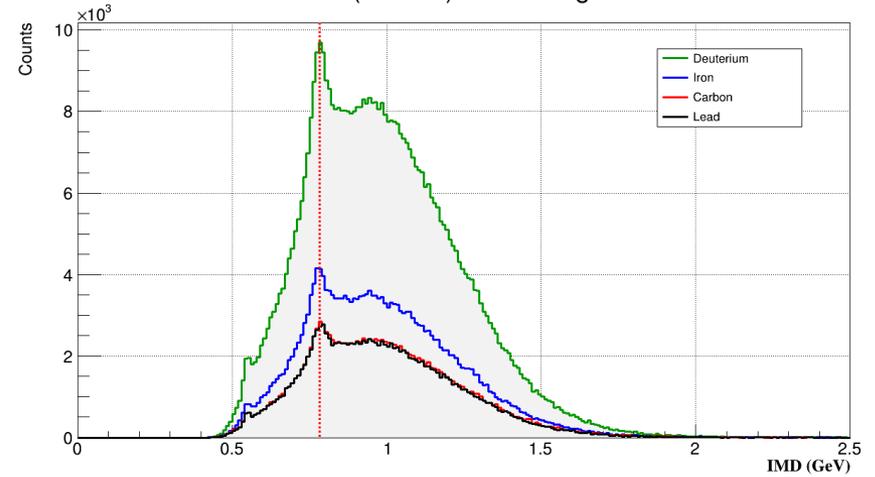
DOI: [10.1016/j.nuclphysb.2012.07.009](https://doi.org/10.1016/j.nuclphysb.2012.07.009)

# Background Subtraction - II

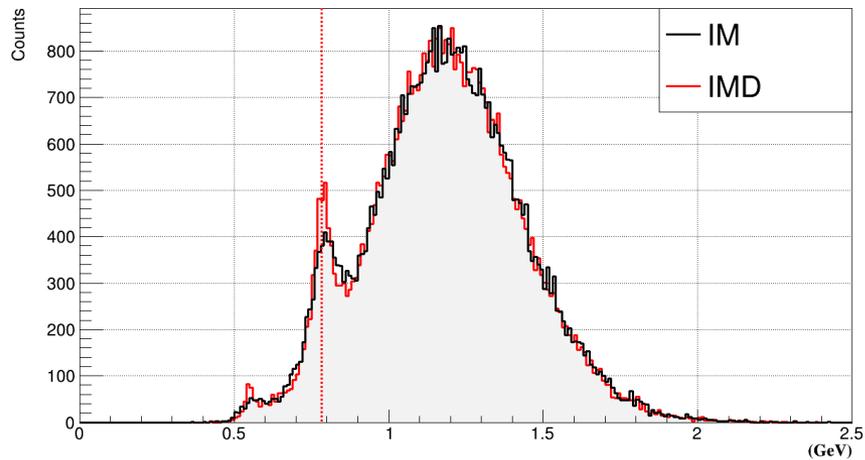
IM( $\pi^+ \pi^- \pi^0$ ) for All Targets



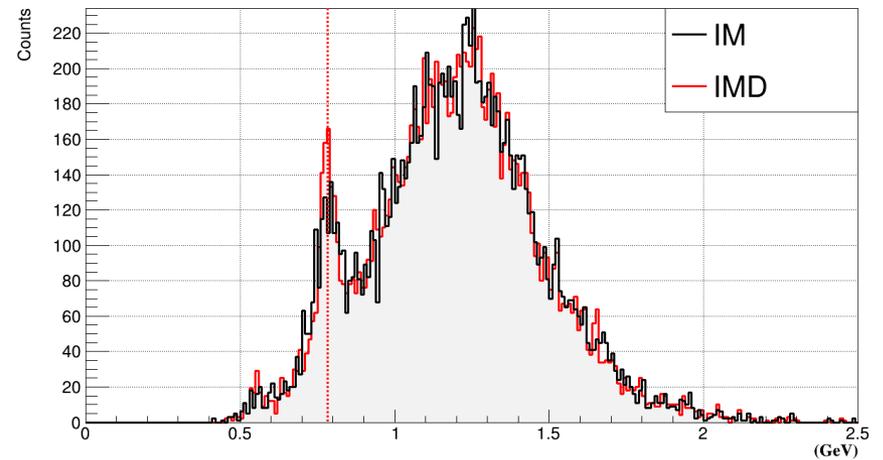
IMD( $\pi^+ \pi^- \pi^0$ ) for All Targets



IM vs IMD for D Data in ( $0.76 < Z < 1.00$ )



IM vs IMD for Pb Data in ( $0.76 < Z < 1.00$ )



# Background Subtraction - III

To count the  $\omega$  number, we make a composite extended fit around its peak.

- **Gaussian** for the signal
- **1st order polynomial** for the bkg

Software used: **RooFit**.

Error estimation: **MINOS**.

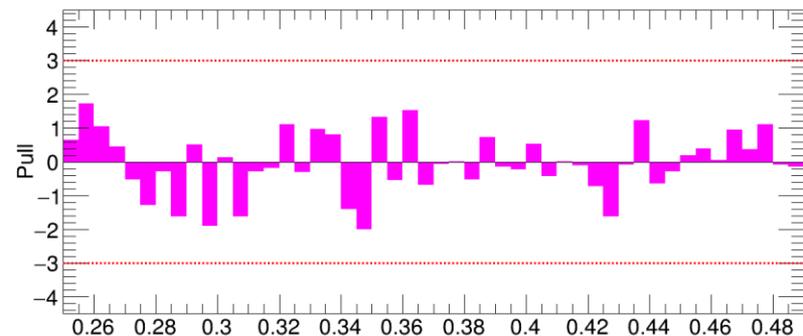
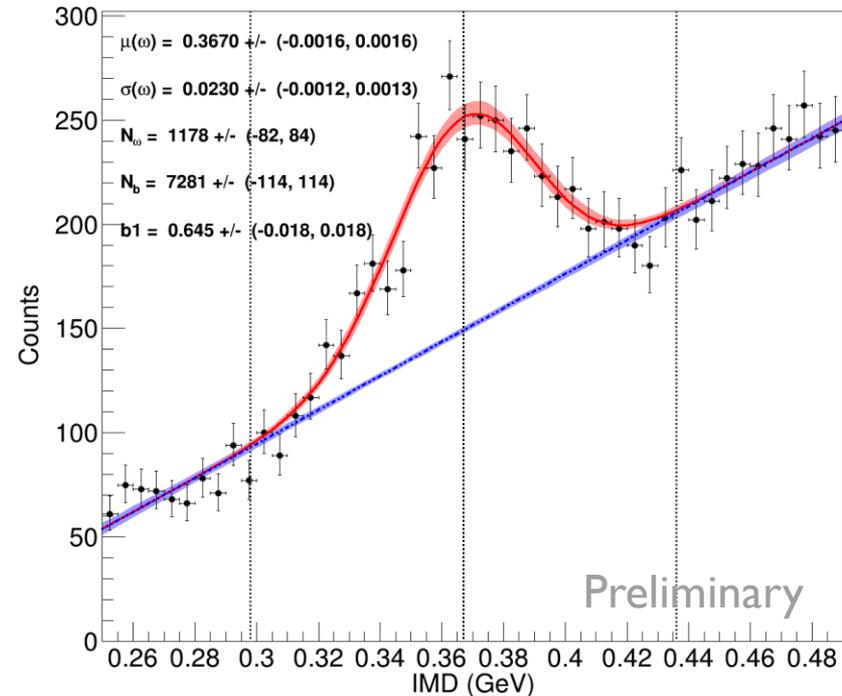
Fit method: extended maximum likelihood estimation.

Tools:

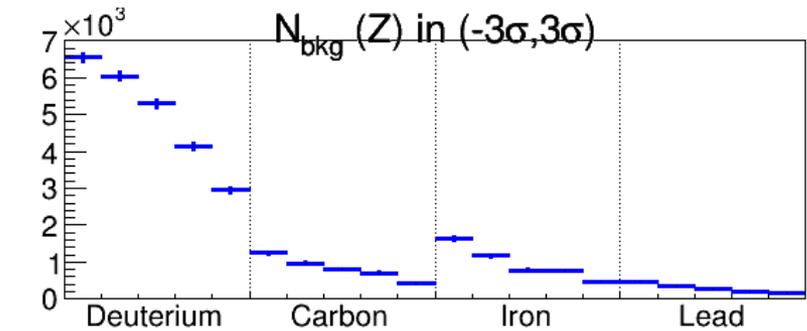
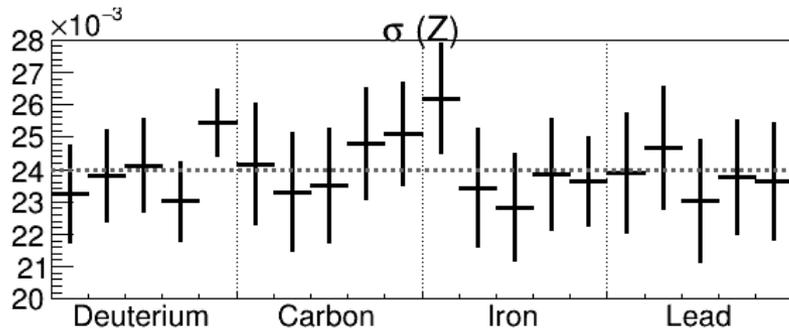
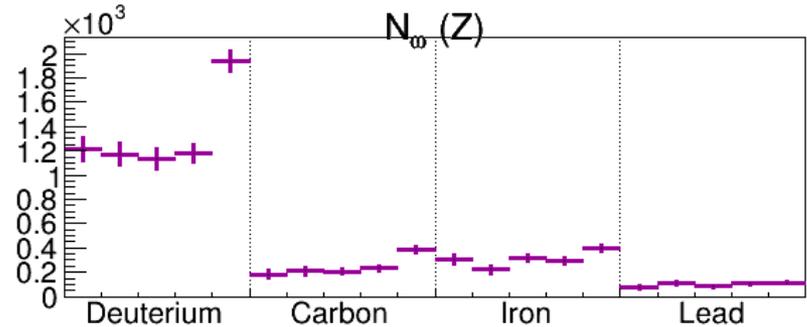
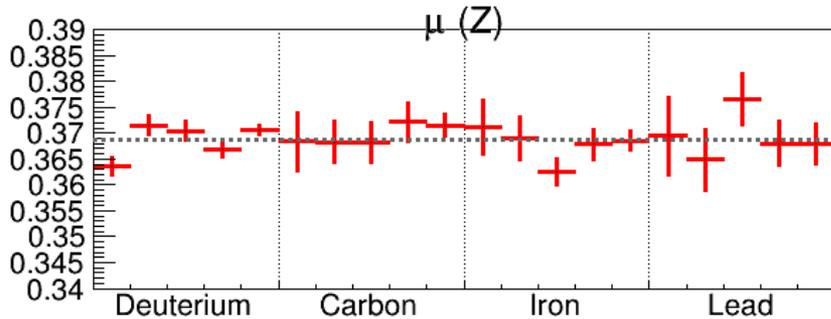
- constraint the  $\sigma$  parameter.
- uncertainty bands.
- **pull distribution**.

$$\text{pull}(x) = \frac{\text{data}(x) - \text{fit}(x)}{\text{error}_{\text{data}}(x)}$$

IMD( $\pi^+ \pi^- \pi^0$ ) for D in ( $0.67 < Z < 0.76$ )

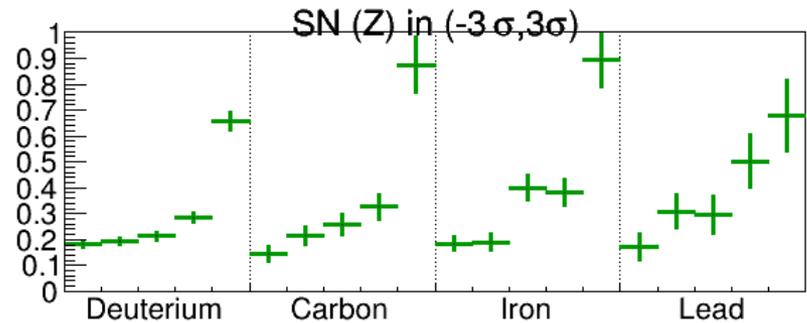


# Parameters - I

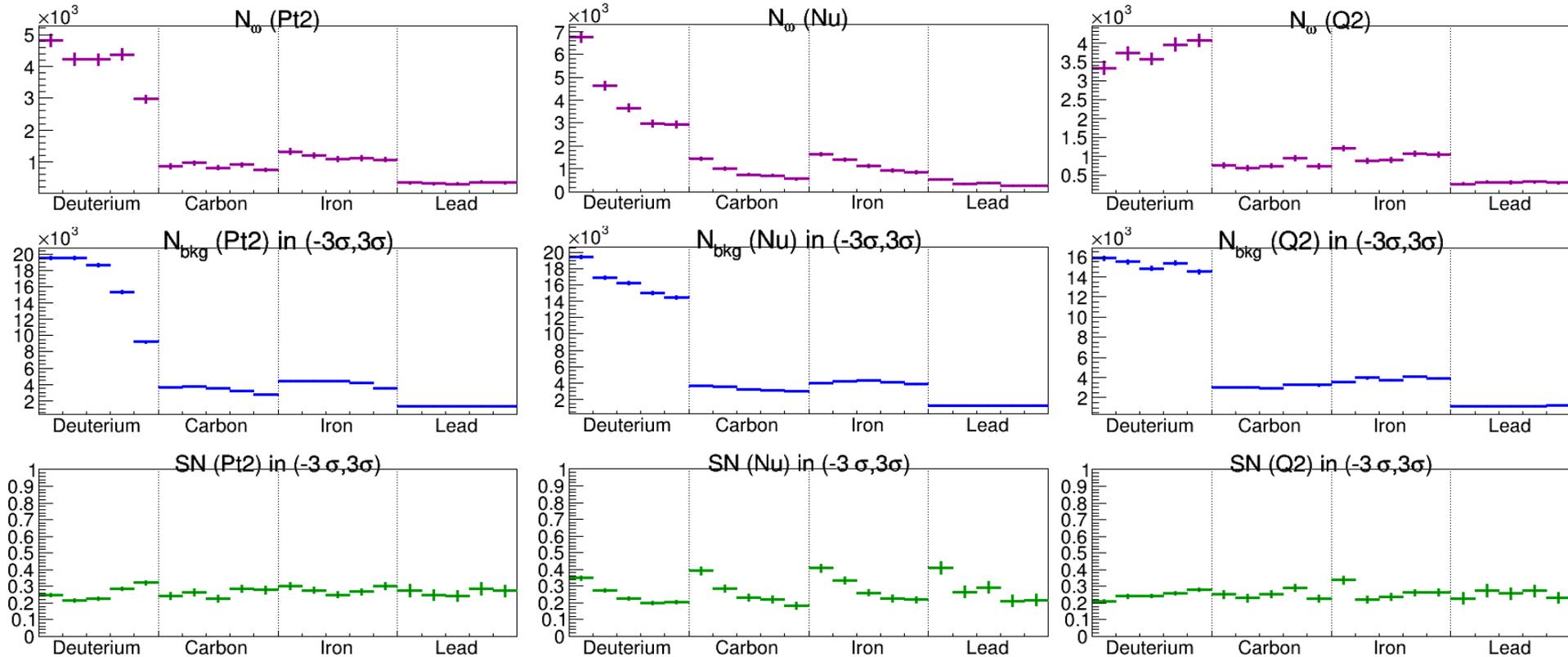


Result of the parameters obtained directly by RooFit. Increasing in  $z$  bin for each target. Gray horizontal lines represent average of the parameter values.

$$SN \equiv \frac{N_\omega(-3\sigma, 3\sigma)}{N_{bkg}(-3\sigma, 3\sigma)}$$

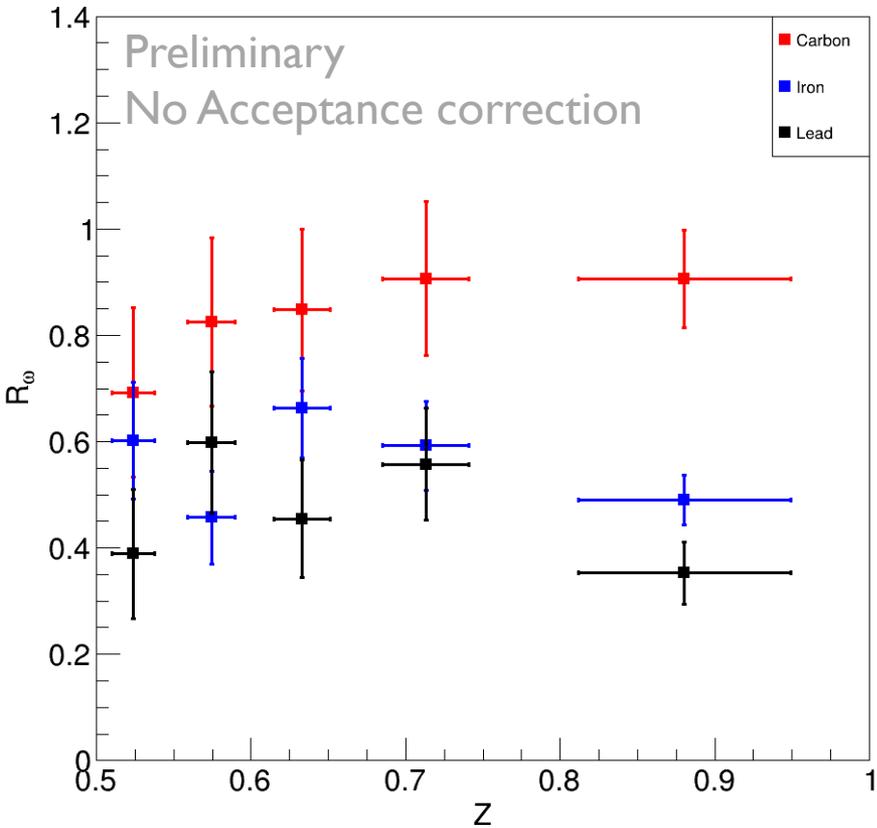


# Parameters - II

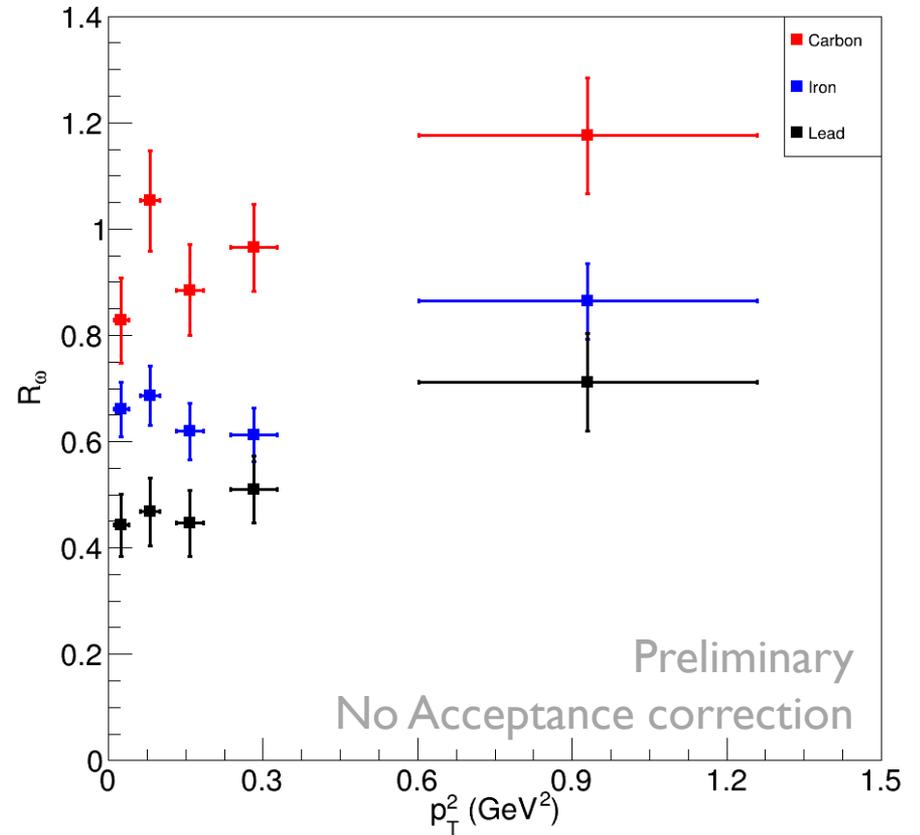


# Results - I

Multiplicity Ratio:  $\omega$

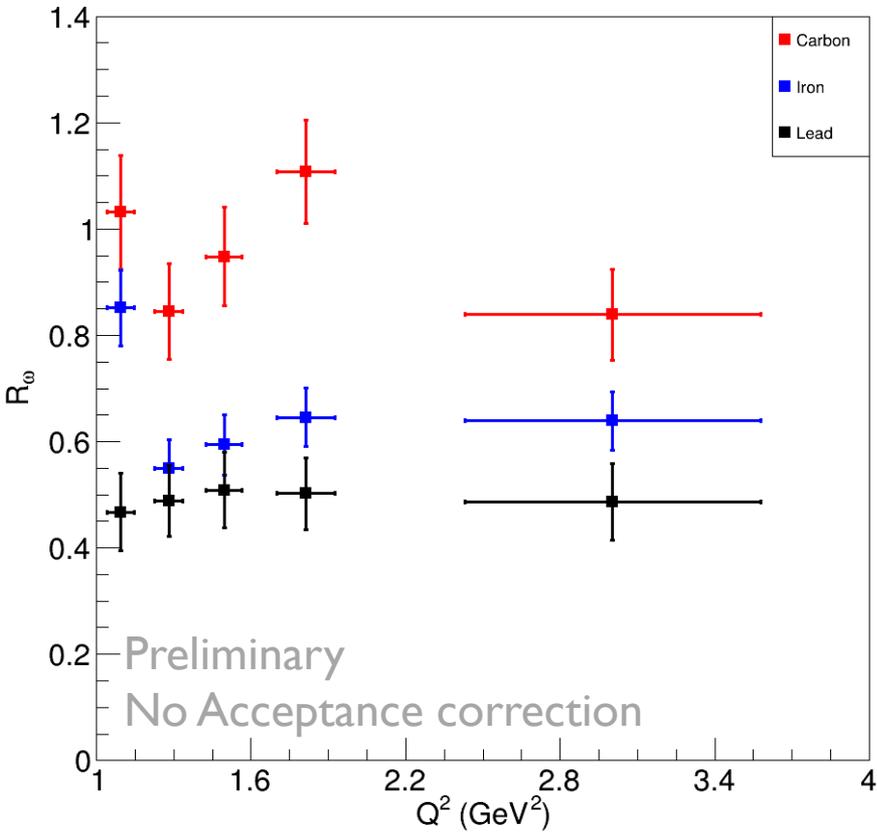


Multiplicity Ratio:  $\omega$

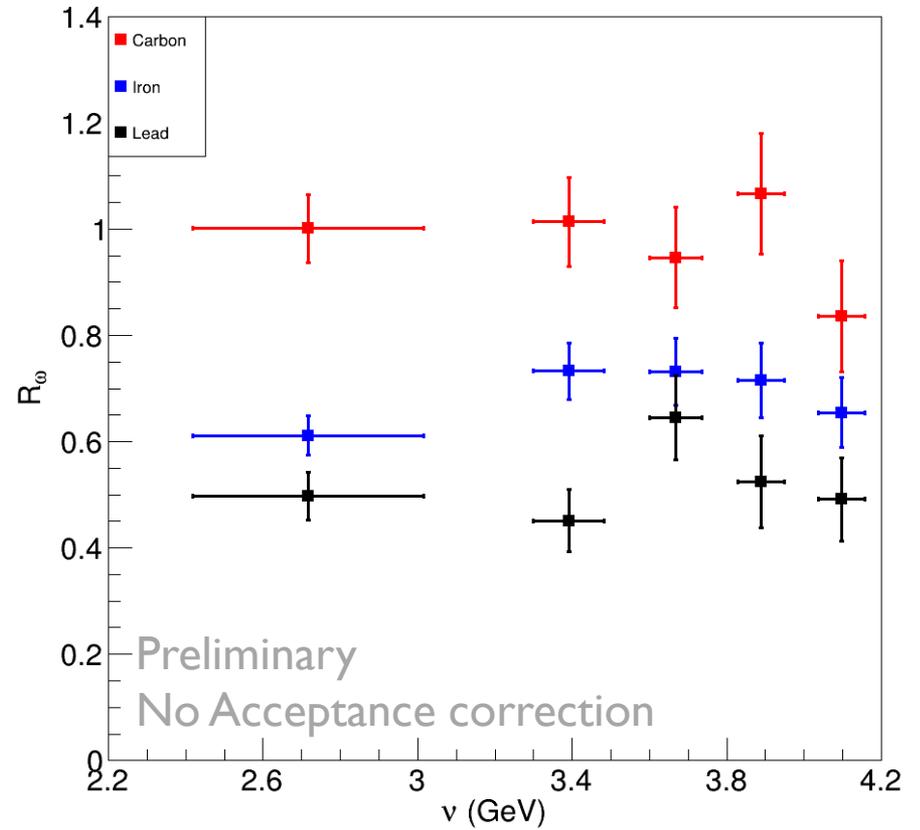


# Results - II

Multiplicity Ratio:  $\omega$



Multiplicity Ratio:  $\omega$

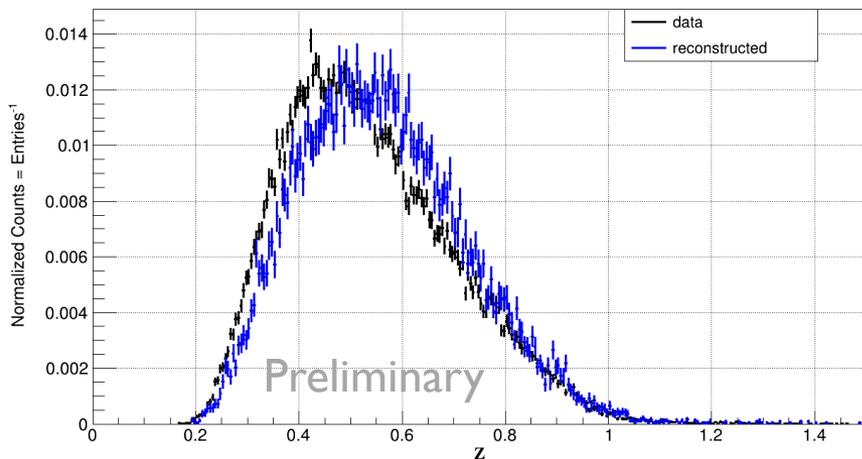


# Acceptance Correction

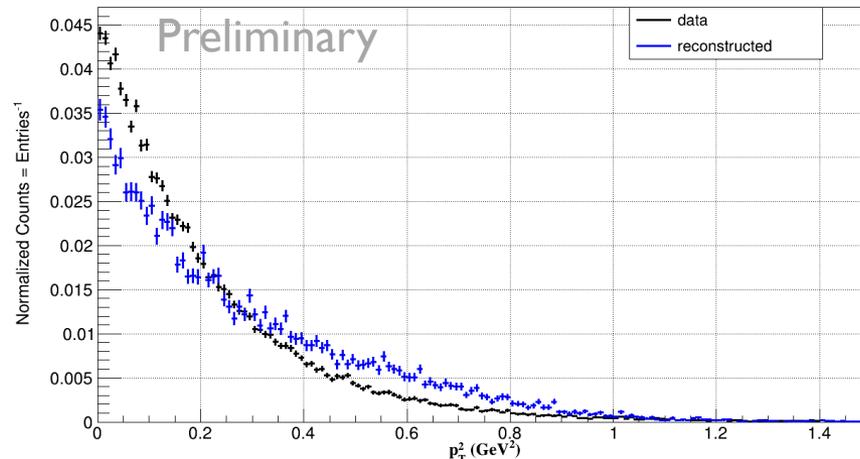
- Correction that covers the imperfections of the detector, such as: detection, track reconstruction and event selection efficiencies.
- Simulation chain:
  - LEPTO: MC event generator
  - GSIM
  - GPP
  - user\_ana
  - ClasTool } CLAS reconstruction chain
- Condition: **at least one omega meson must have been generated**
- So far, there is this quantity of generated events.
  - D: 800M (need 850M more!)
  - C: 335M (ready to filter!)
  - Fe: 405M (ready to filter!)
  - Pb: 125M (ready to filter!)

# Comparison (Data vs Simulations) - I

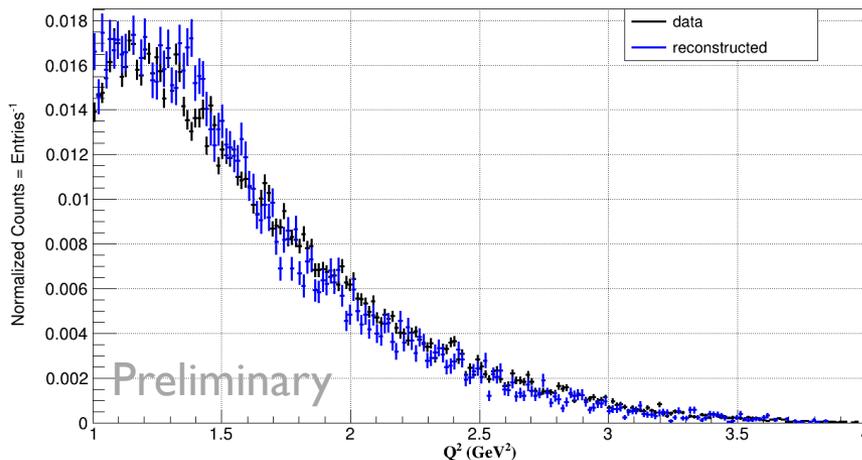
$Z(\omega)$  for Fe



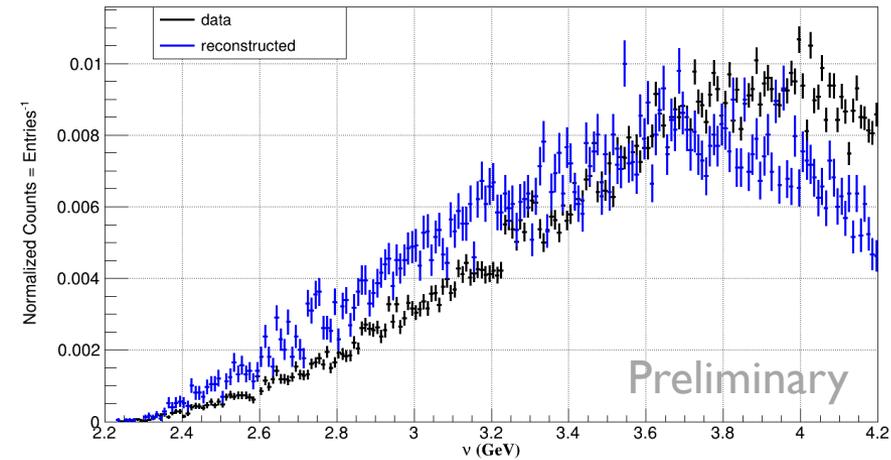
$p_T^2(\pi^+ \pi^- \pi^0)$  for Fe



$Q^2$  for Fe



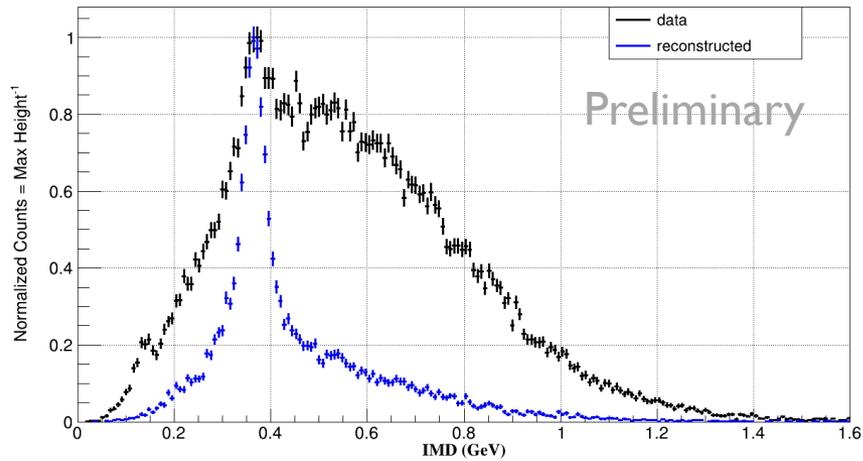
$\nu$  for Fe



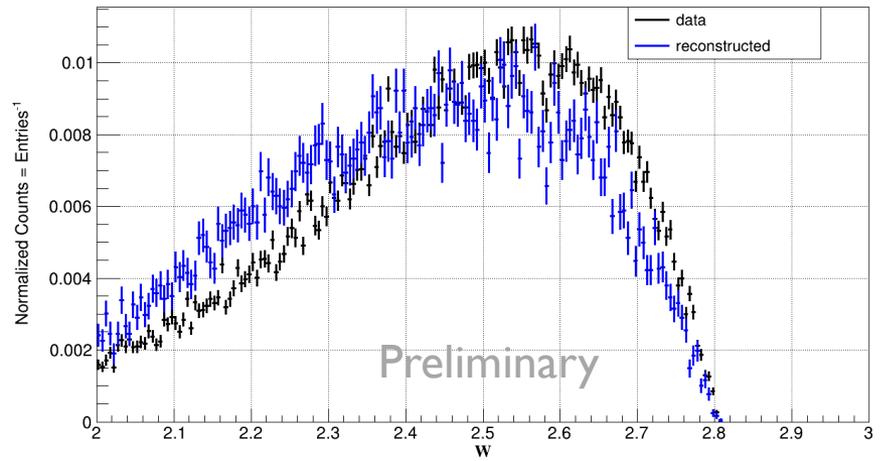
Reconstructed events sample from 12M generated events.

# Comparison (Data vs Simulations) - II

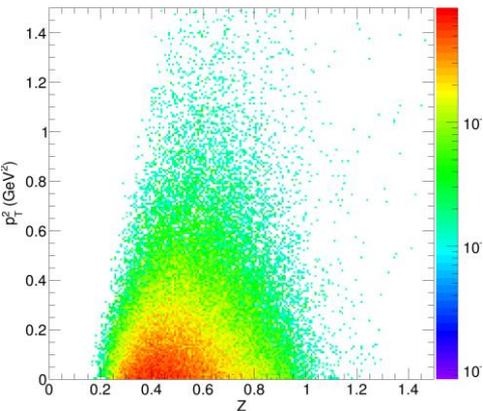
IMD( $\pi^+ \pi^- \pi^0$ ) for Fe



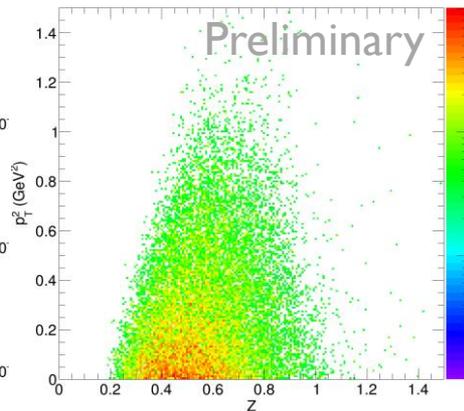
$W(\omega)$  for Fe



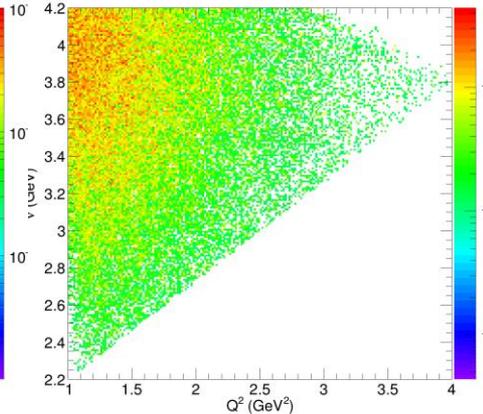
Pt2:Z for Fe Data



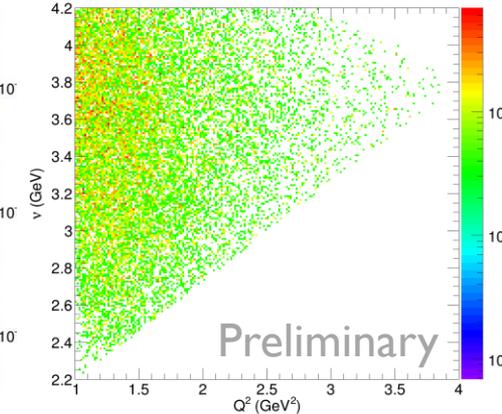
Pt2:Z for Fe Reconstructed



Nu:Q2 for Fe Data



Nu:Q2 for Fe Reconstructed



Reconstructed events sample from 12M generated events.

# Next steps

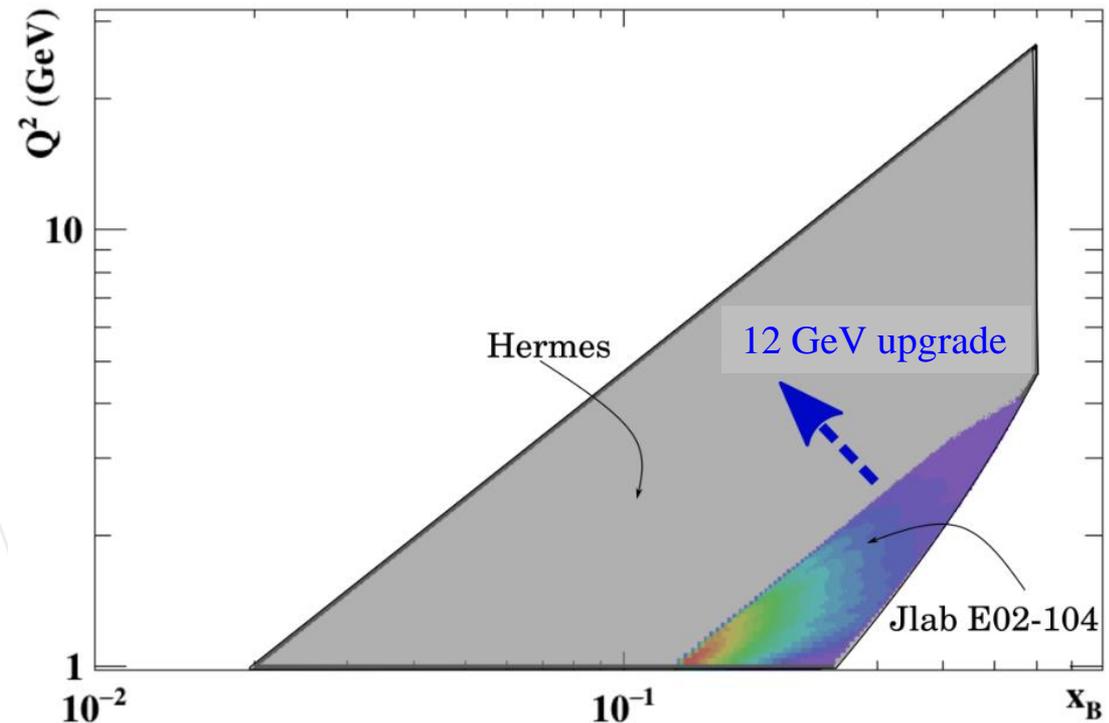
Andrés Bórquez

andres.borquezc@gmail.com

- Acceptance correction
- Radiative corrections
- Systematic studies
- Submit  $\eta$  and  $\omega$  CLAS Analysis Note

• Thank you for your attention!

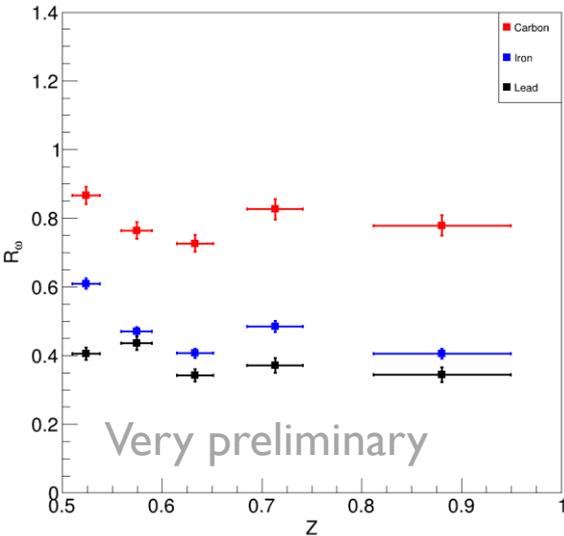
Kinematical region comparison



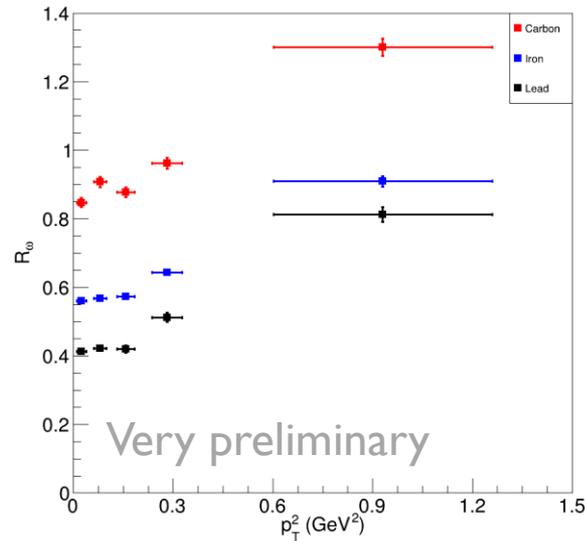
**Backup**

# Results without Background Subtraction

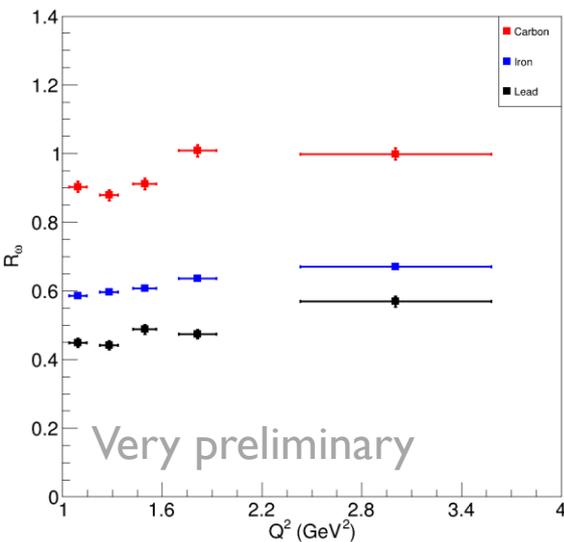
Multiplicity Ratio:  $\omega$  - No Bkg Subtraction



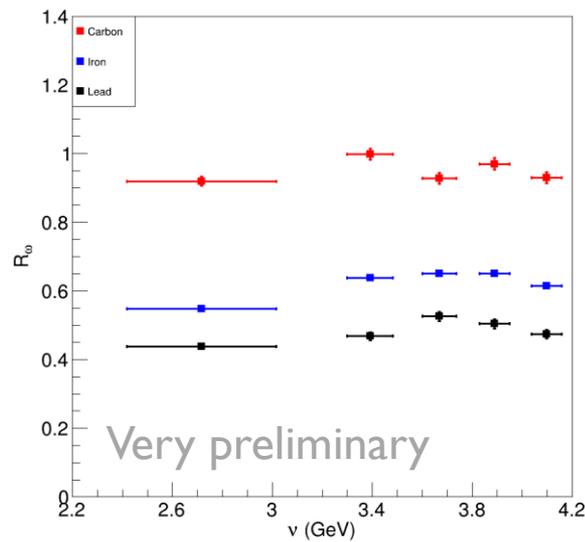
Multiplicity Ratio:  $\omega$  - No Bkg Subtraction



Multiplicity Ratio:  $\omega$  - No Bkg Subtraction



Multiplicity Ratio:  $\omega$  - No Bkg Subtraction

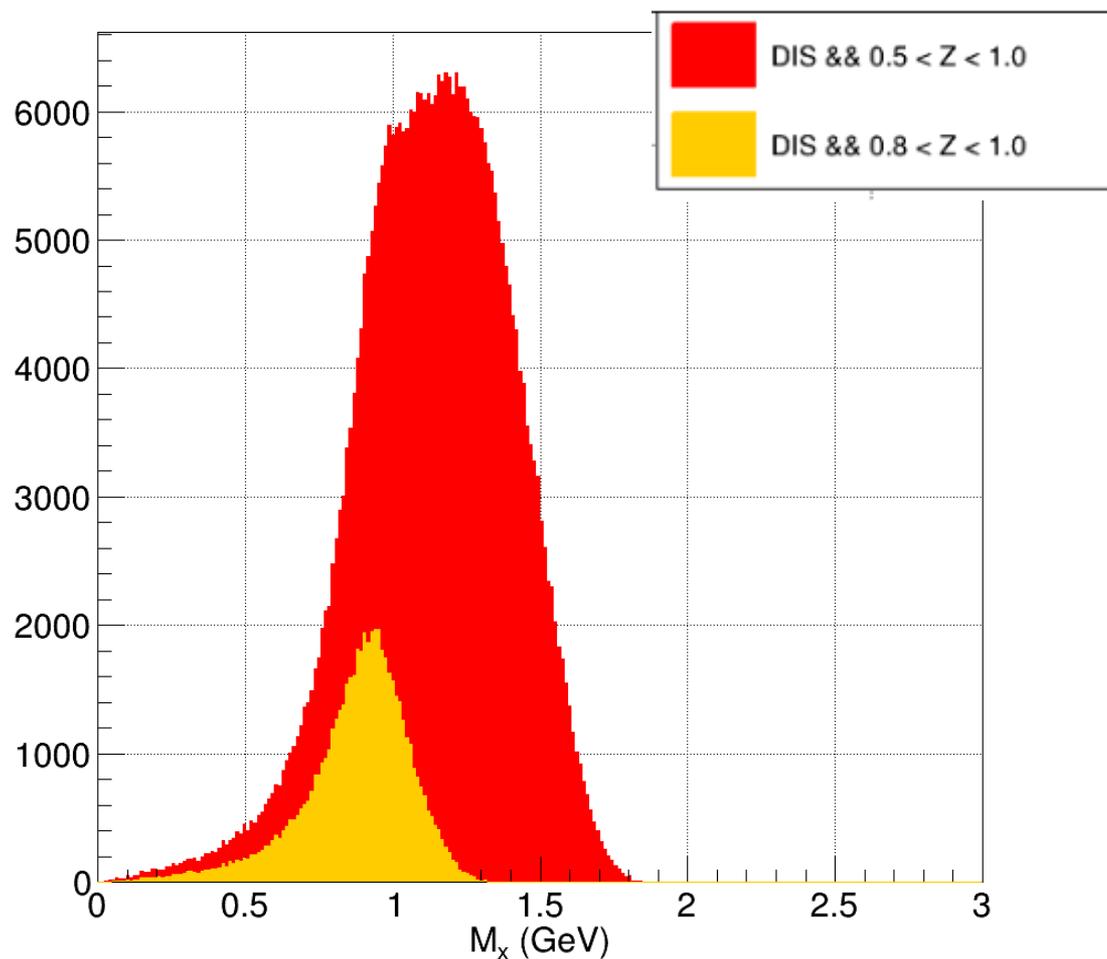


These results were obtained from the fits, just by applying a  $3\sigma$  cut around the  $\omega$  peak.

It integrates both background and signal in that range.

# Missing Mass

$M_x(\omega)$  for D



Diffractive  $\omega$  production appears at higher  $z$ , mostly for Deuterium target.