

# DVCS Collaboration Meeting

February 1, 2020

## **DVCS Cross Section Analysis Update Kin 48**

Alexa Stefanko

General expression of the cross section:

$$\frac{d^4\sigma}{dQ^2 dx_B dt d\phi} = \sum_{n=0}^N F_n(E, Q^2, x_B, t, \phi) X^n$$

Kinematic factors - found from MC data

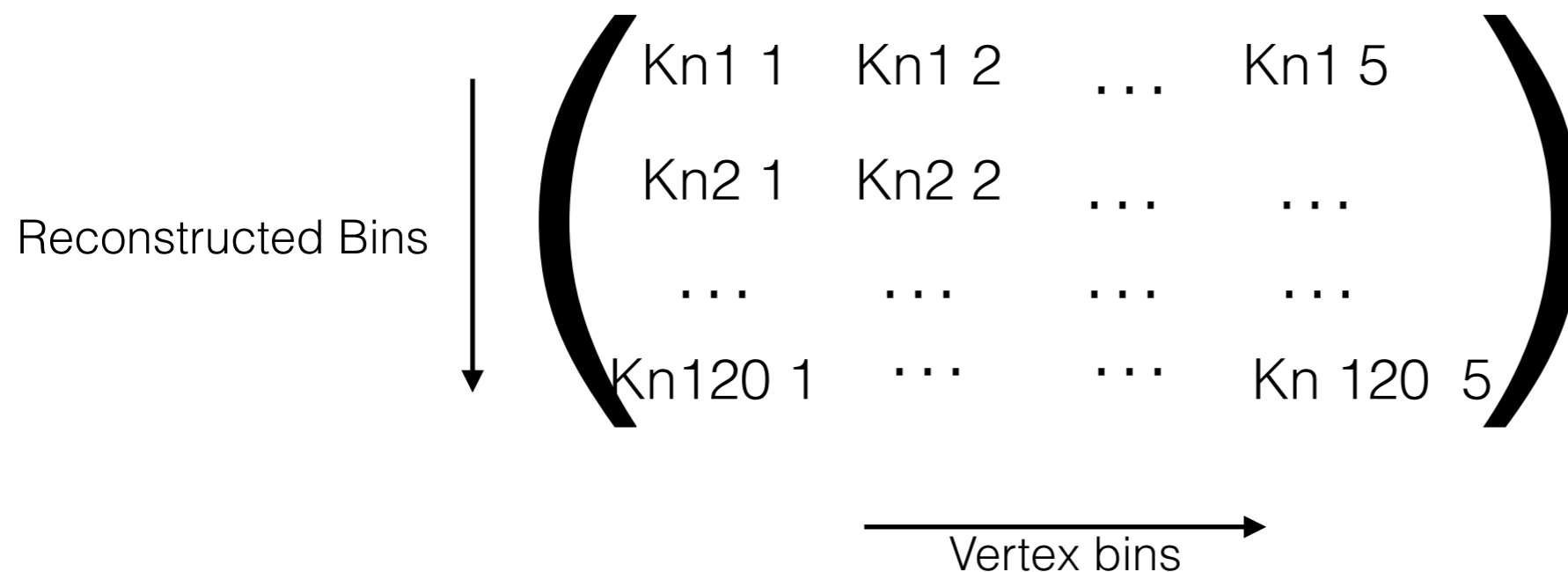


“n” combinations CFFs we want to extract by fitting MC to experimental data

- Test different combinations of CFFs to find the best fit for polarized and unpolarized cross sections

Create a  $V \times R$  matrix for each “n” CFF combination

$$\begin{aligned} \mathcal{K}_{rv}^n &= \int_{\Phi_v^r} F_n(E, Q^2, x_B, t, \phi) d\Phi, \\ &= \sum_{i \in r \cap v} F_n(E_v^i, (Q_v^2)^i, (x_B)_v^i, t_v^i, \phi_v^i) \frac{\Gamma_{MC}^i}{N_{gen}} \end{aligned}$$



To minimize Chi2... find A and B:

Square matrix

$$A_{nv,n'v'} = \sum_{r=1}^{\mathcal{R}} \mathcal{L}^2 \frac{K_{rvn} K_{rv'n'}}{[\sigma_r^{data}]^2}$$

Dimension:  $(N^*V) \times (N^*V)$

Column Vector

$$B_{nv} = \sum_{r=1}^{\mathcal{R}} \mathcal{L} \frac{K_{rvn} N_r^{data}}{[\sigma_r^{data}]^2}$$

Dimension:  $N^*V$

$$\langle X_n \rangle_v = \sum_{n'=1}^{\mathcal{N}} \sum_{v'=1}^{\mathcal{V}} [A^{-1}]_{nv,n'v'} B_{n'v'}$$

Use  $V \times R$  matrices to find  $N_r$  (MC) for each vertex (t) bin

$$N_r = \sum_{v=0}^V \sum_{n=0}^N \mathcal{K}_{rv}^n X_v^n$$

$$\begin{pmatrix} \mathcal{K}_{n1\ 1} & \mathcal{K}_{n1\ 2} & \dots & \mathcal{K}_{n1\ 5} \\ \mathcal{K}_{n2\ 1} & \mathcal{K}_{n2\ 2} & \dots & \dots \\ \dots & \dots & \dots & \dots \\ \mathcal{K}_{n120\ 1} & \dots & \dots & \mathcal{K}_{n\ 120\ 5} \end{pmatrix} \begin{pmatrix} X_{n1} \\ \dots \\ X_{n5} \end{pmatrix}$$

Fit  $N_r$  (MC) to  $N_r$  (exp) to extract the n combinations CFFs for each vertex bin

$$\chi^2 = \sum_{r=0}^{\mathcal{R}} \left( \frac{N_r^{exp} - N_r^{MC}}{\sigma_r^{exp}} \right)^2$$

$$N_r = \sum_{v=0}^{\nu} \sum_{n=0}^N \mathcal{K}_{rv}^n X_v^n$$

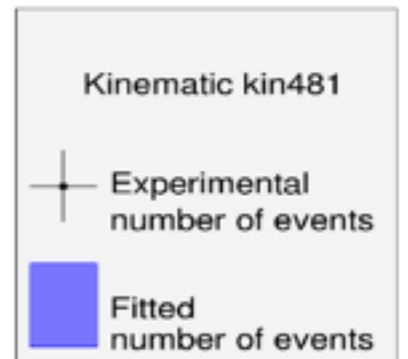
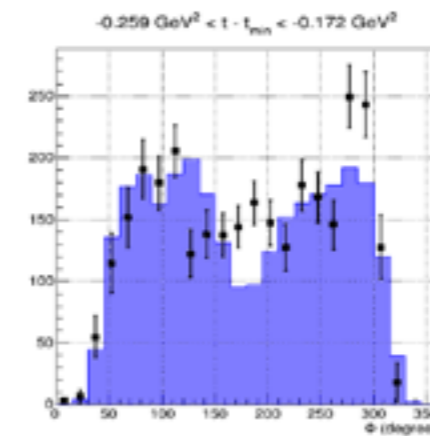
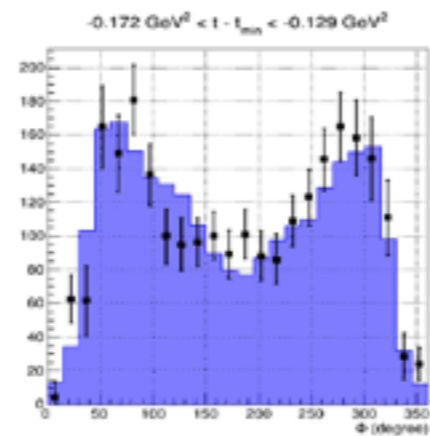
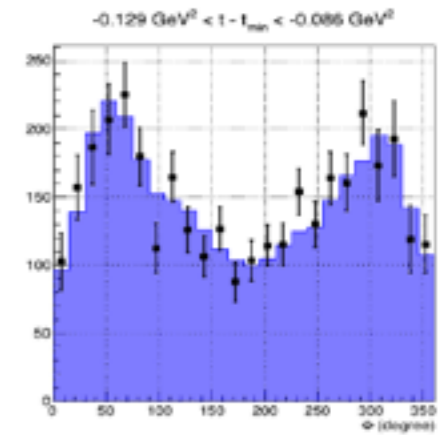
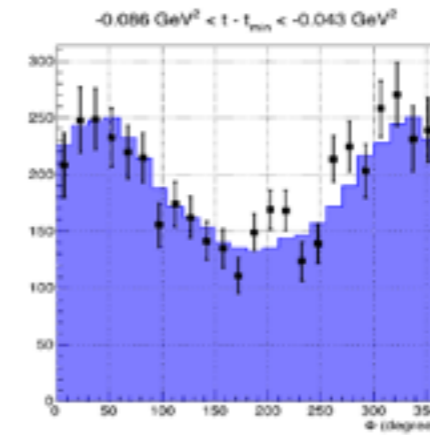
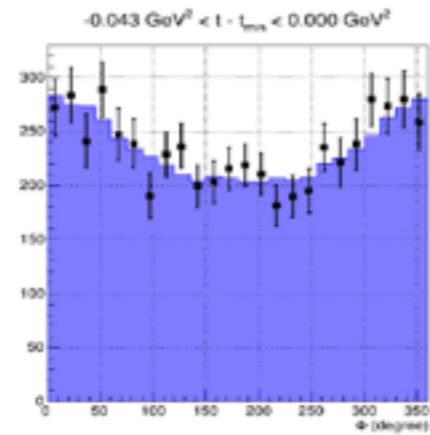
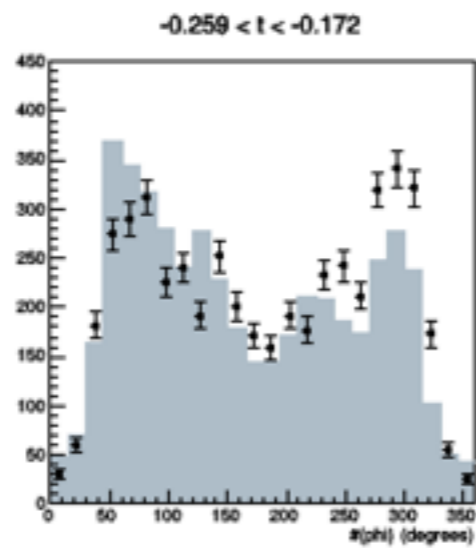
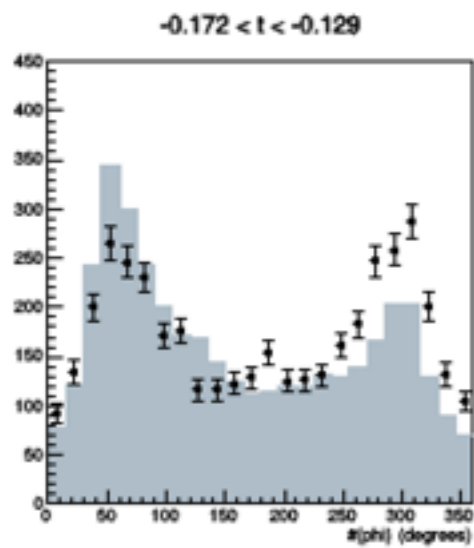
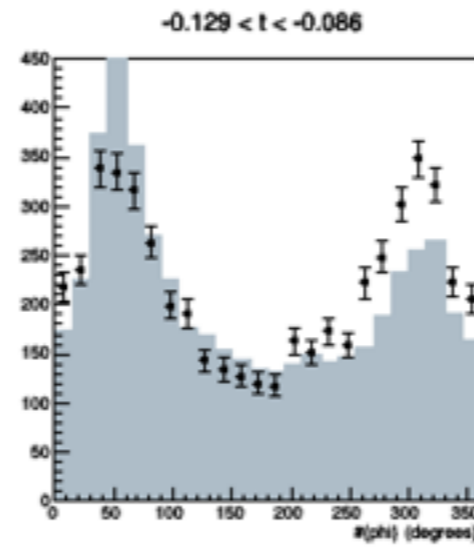
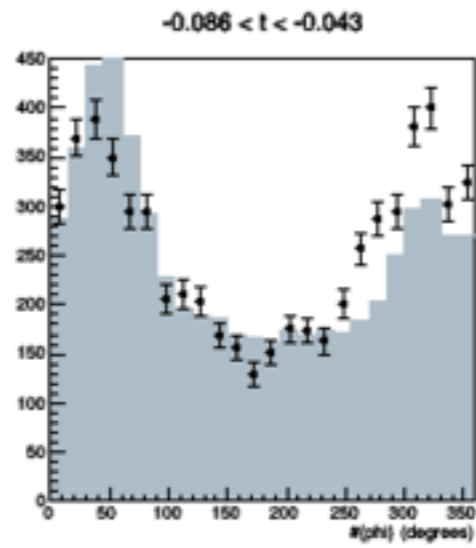
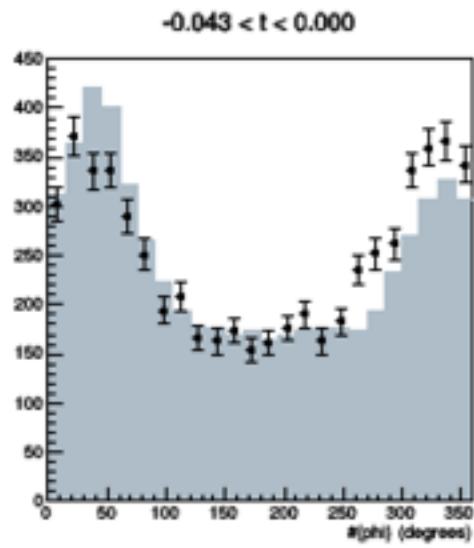
$$\frac{d^5 \sigma_v^{fit}}{dQ^2 dx_{Bj} dt d\phi d\varphi} = \sum_{n=1}^{\mathcal{N}} F_n(E, \langle Q^2 \rangle, \langle x_{Bj} \rangle, \langle t \rangle, \phi, \lambda) \langle X_n \rangle_v$$

$$\frac{d^5 \sigma_r^{data}}{dQ^2 dx_{Bj} dt d\phi d\varphi} = \frac{N_r^{data}}{N_r} \frac{d^5 \sigma_r^{fit}}{dQ^2 dx_{Bj} dt d\phi d\varphi}$$

# 481— Unpol

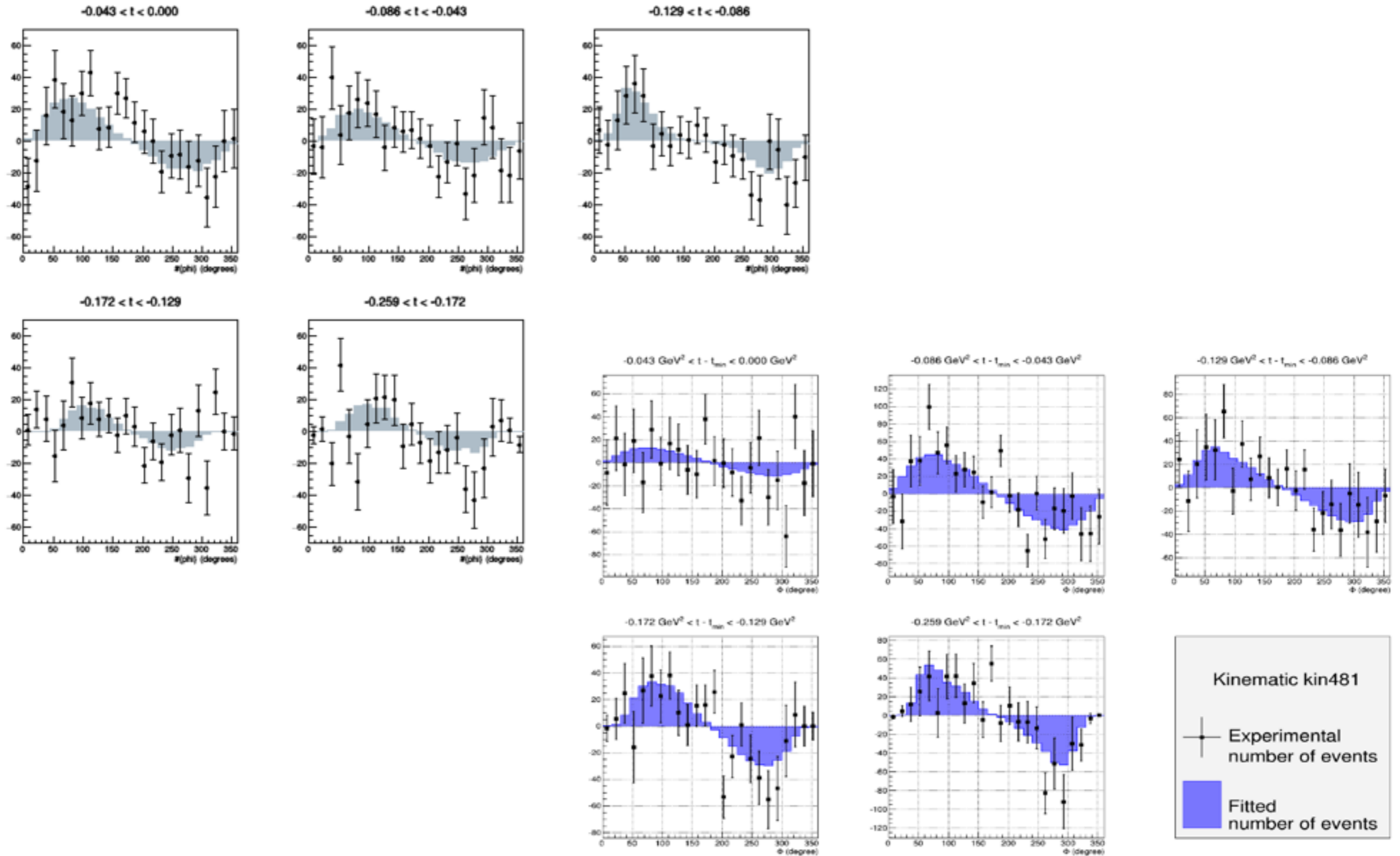
$N_+ + N_-$

$$N_r = \sum_{v=0}^{\nu} \sum_{n=0}^N \mathcal{K}_{rv}^n X_v^n$$



$N_+ - N_-$ 

481— Pol





# 481 Cross Section Extraction

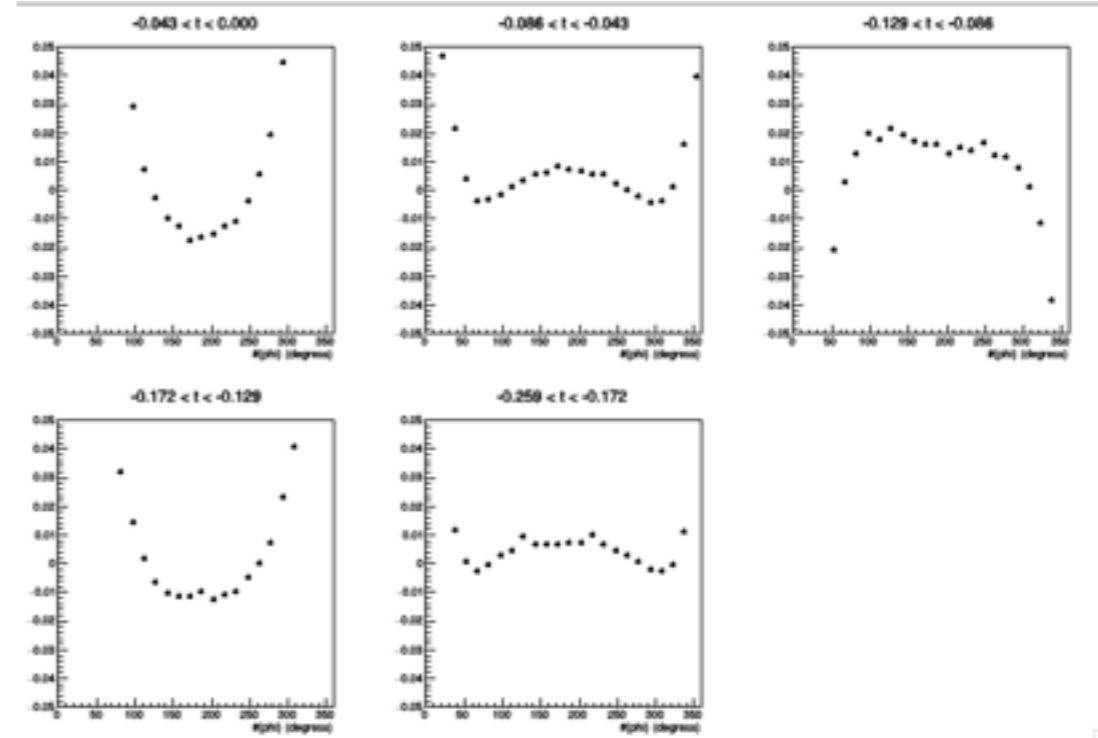
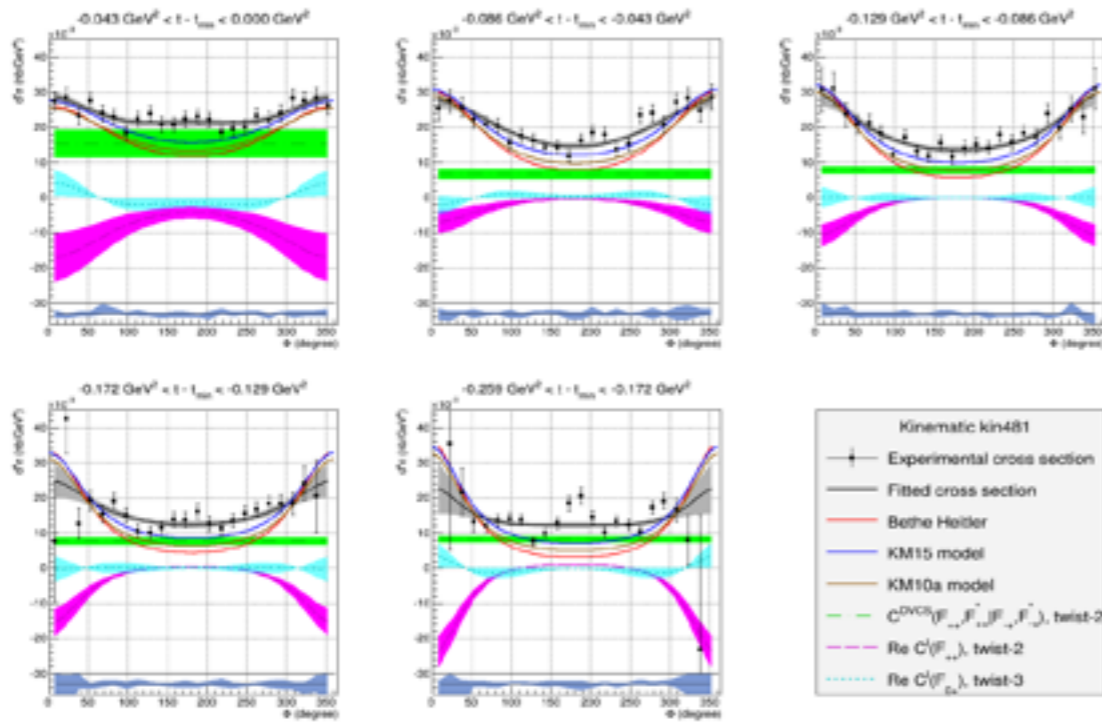
$$\langle X_n \rangle_v = \sum_{n'=1}^{\mathcal{N}} \sum_{v'=1}^{\mathcal{V}} [A^{-1}]_{nv, n'v'} B_{n'v'}$$

$\mathcal{V}$  →

		0		1		2		3		4		
C(DVCS)	0	36	2.367	-9.14	34.93	2.473						40
Re C(F_++)		5		6		7		8		9		
0	-7.207	35.28	3.132	-5.414	35.8						-1.8	
Re C(F_0+)		10		11		12		13		14		
0	3.161	-3.291	34.69	2.992	-2.949						-0.3	
Im C(F_++)		0		1		2		3		4		
0	0.5324	0.7556	0.2895	1.088	0.3759						1.3	
Im C(F_0+)		5		6		7		8		9		
0	-1.638	0.1794	2.165	0.1462	0.8797						0.6	

$\mathcal{N}$  ↓

# Issues with cross section extraction



Alexa

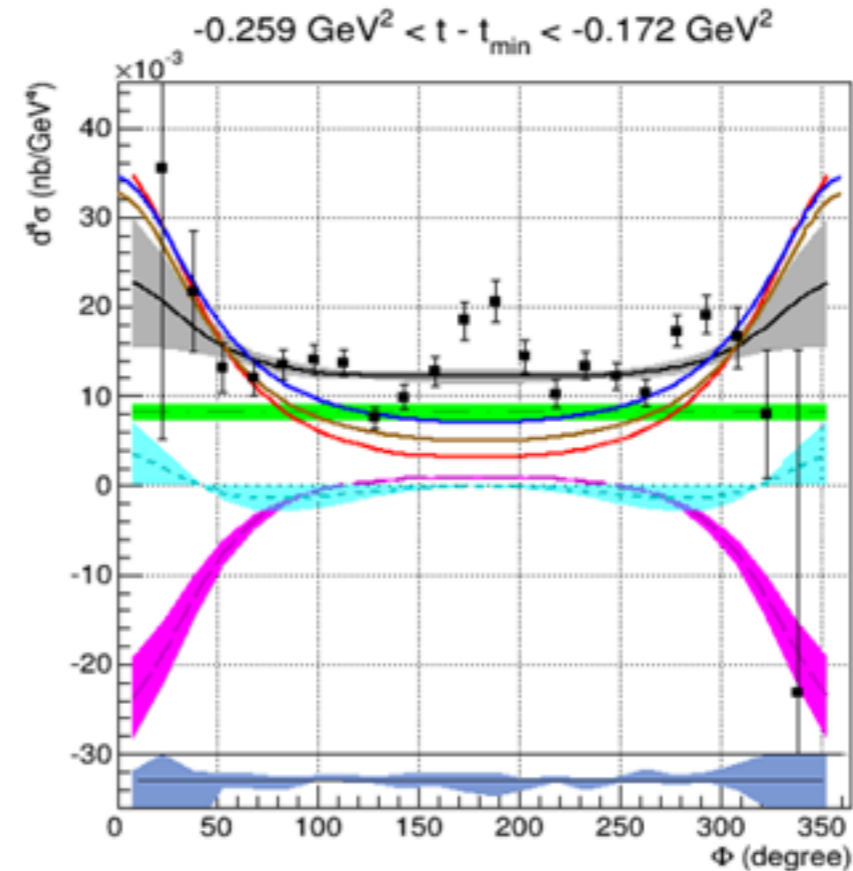
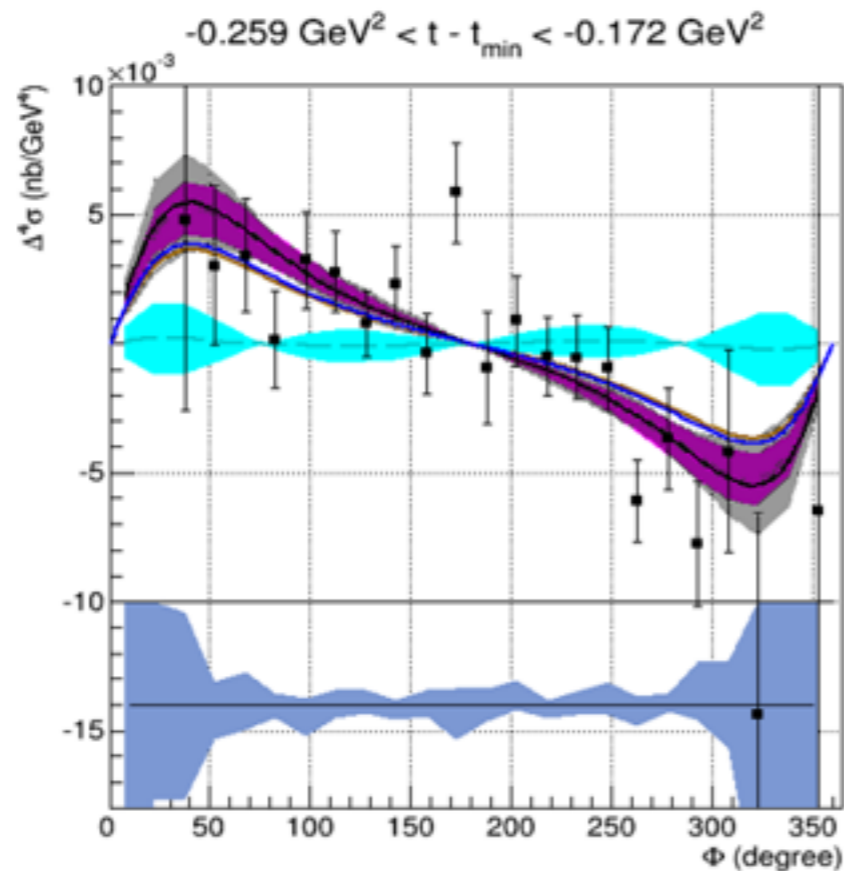
Frederic

Frederic

Alexa

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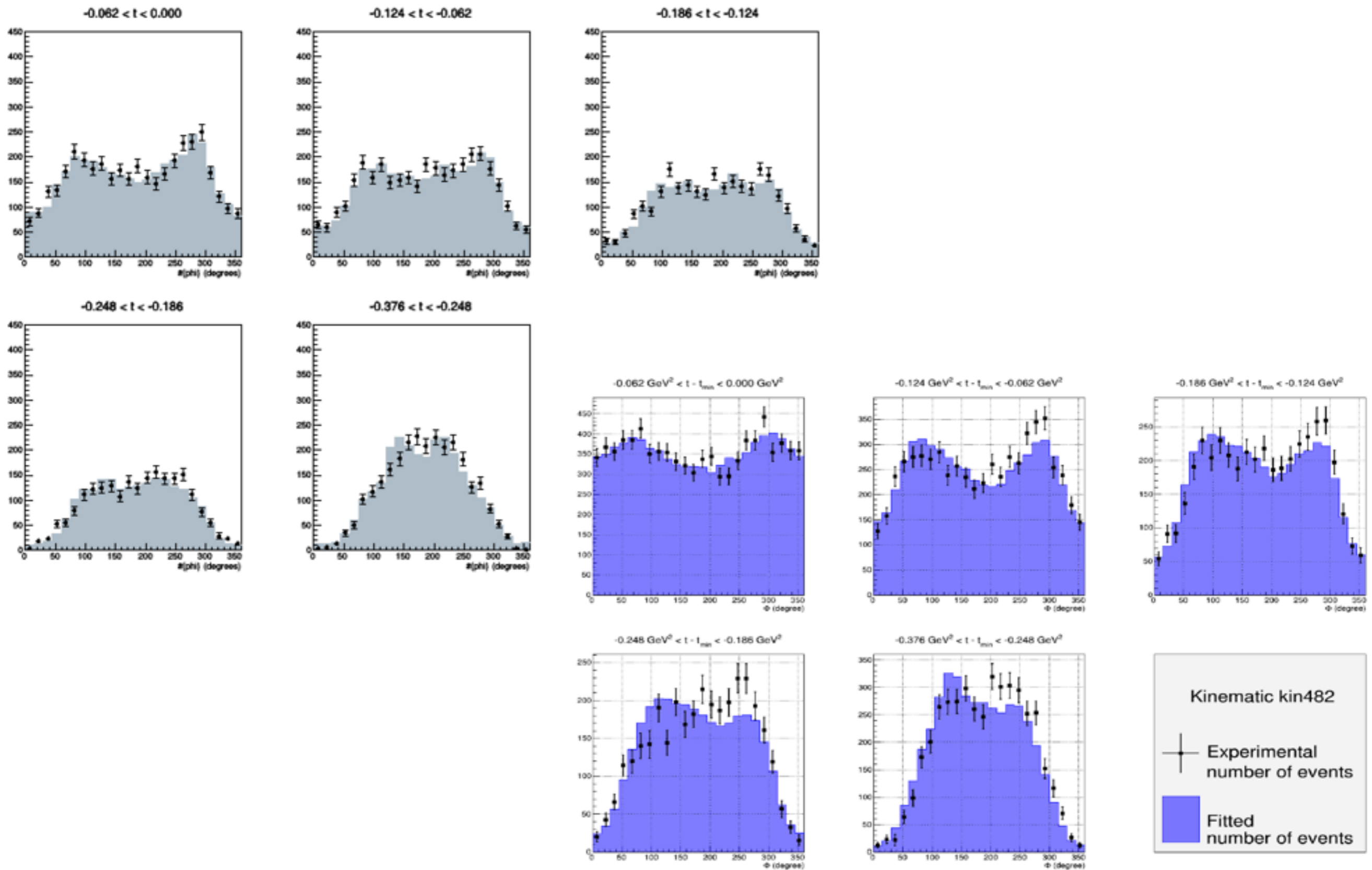
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0.000487679
0.000332934
0.000153336
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2.33218e-05
0
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-0.00036001
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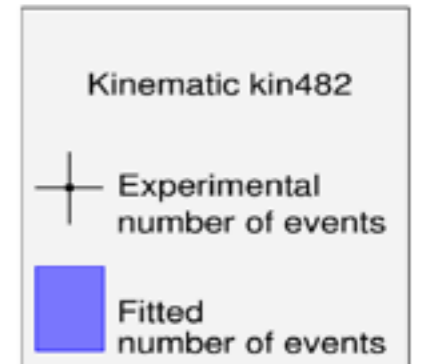
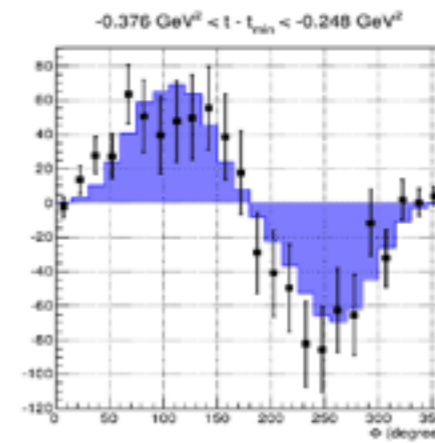
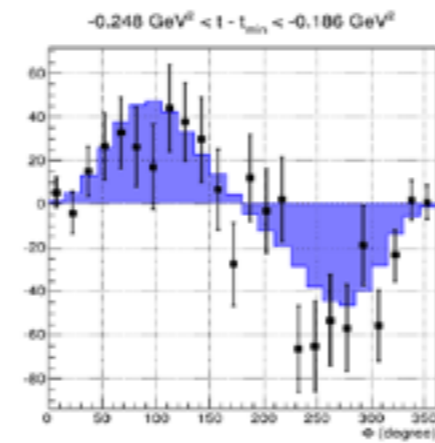
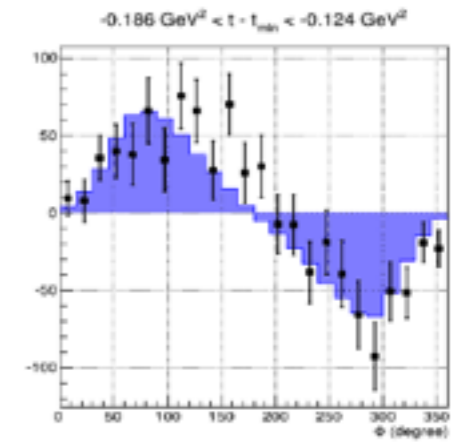
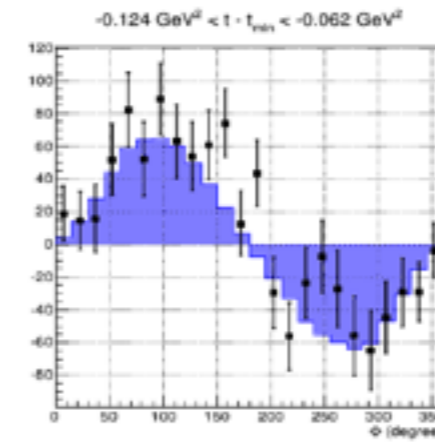
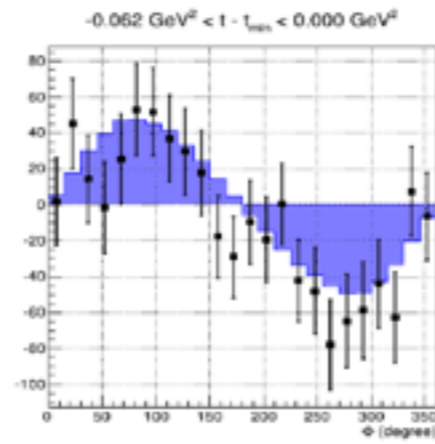
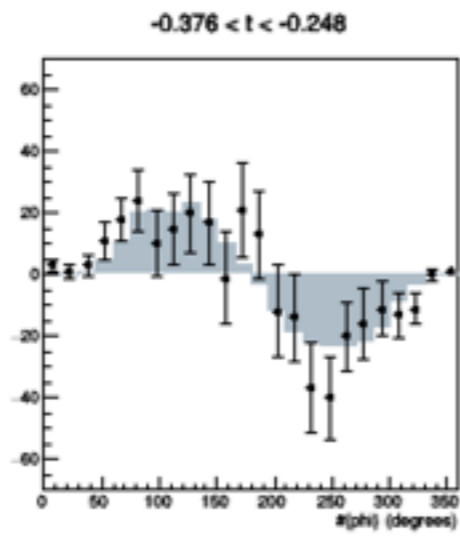
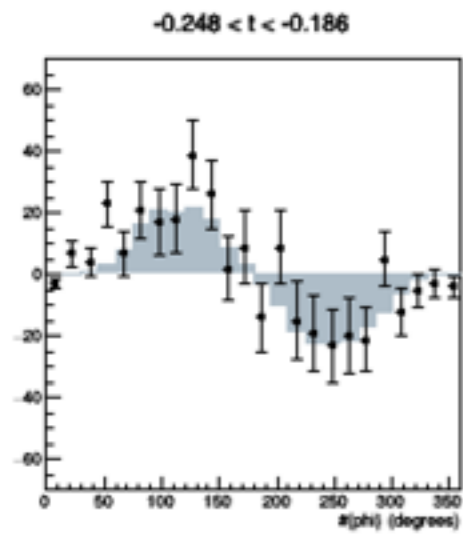
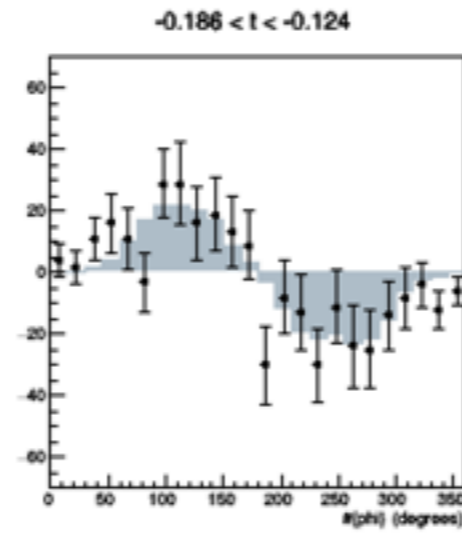
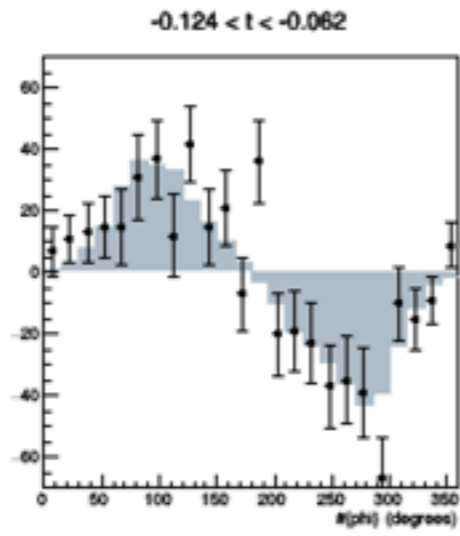
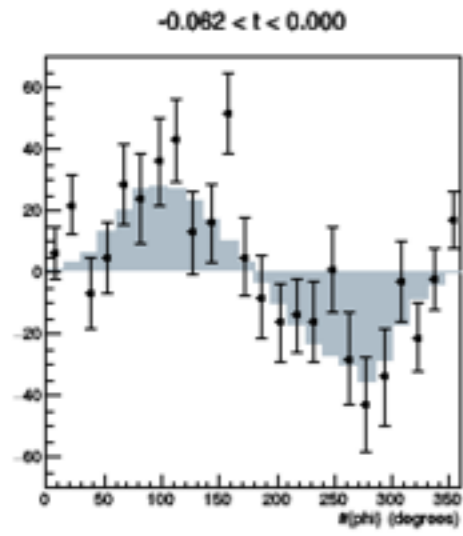
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# $N_+ + N_-$ 482— Unpol

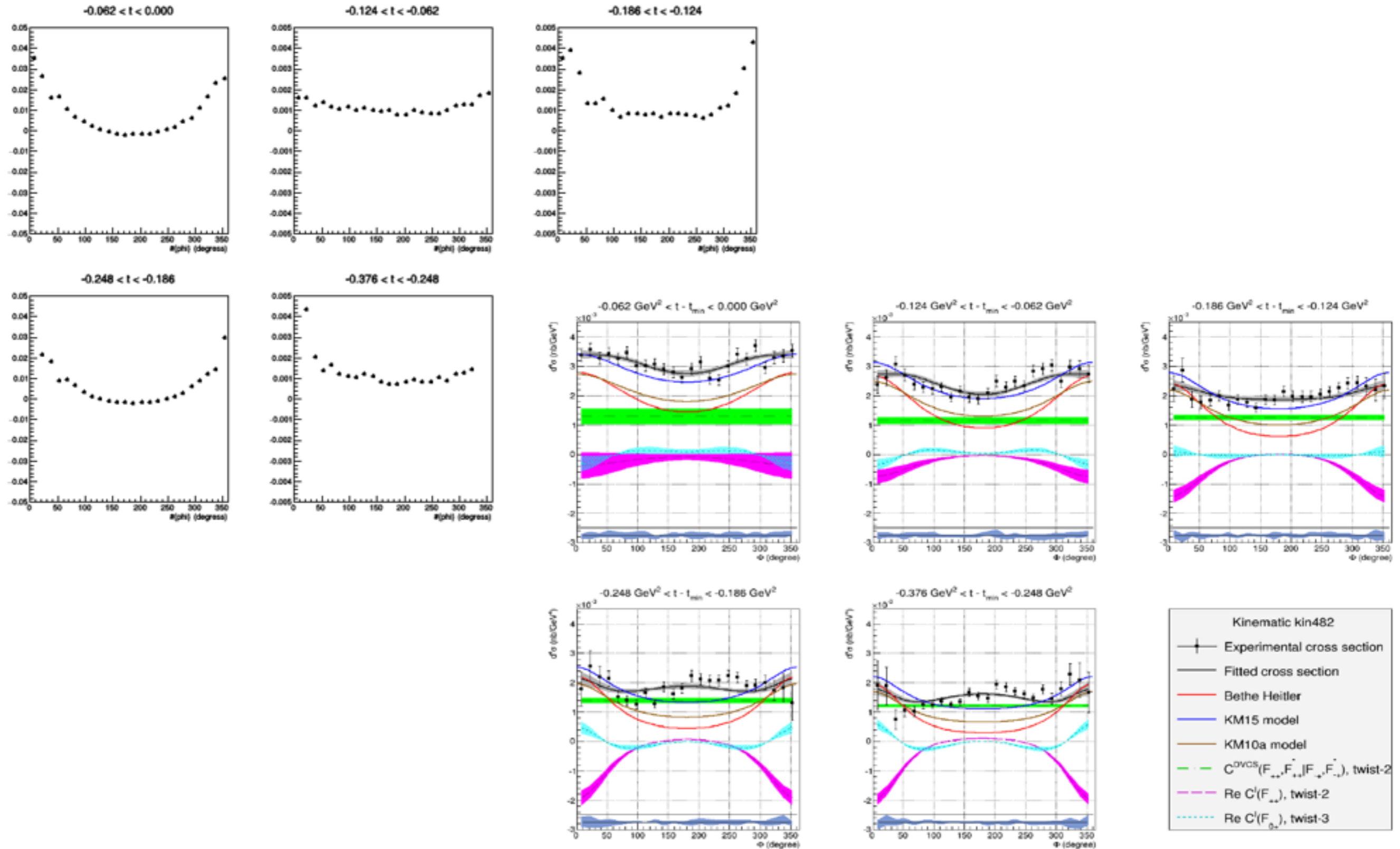


$N_+ - N_-$

482— Pol



# 482 Cross Section Extraction



# 482 Cross Section Extraction

$$\frac{d^4\sigma}{dQ^2 dx_B dt d\phi} = \sum_{n=0}^N F_n(E, Q^2, x_B, t, \phi) X^n$$

C(DVCS)

	0	1	2	3	4
0	16.84	0.855	1.611	16.43	0.687

24

Re C(F\_++)

	5	6	7	8	9
0	1.225	15.21	0.5146	0.9485	15.36

-0.9

Re C(F\_0+)

	10	11	12	13	14
0	0.1221	1.291	12.99	0.05023	-0.1473

0

Im C(F\_++)

	0	1	2	3	4
0	0.485	0.876	0.6332	-0.208	0.3404

1.5

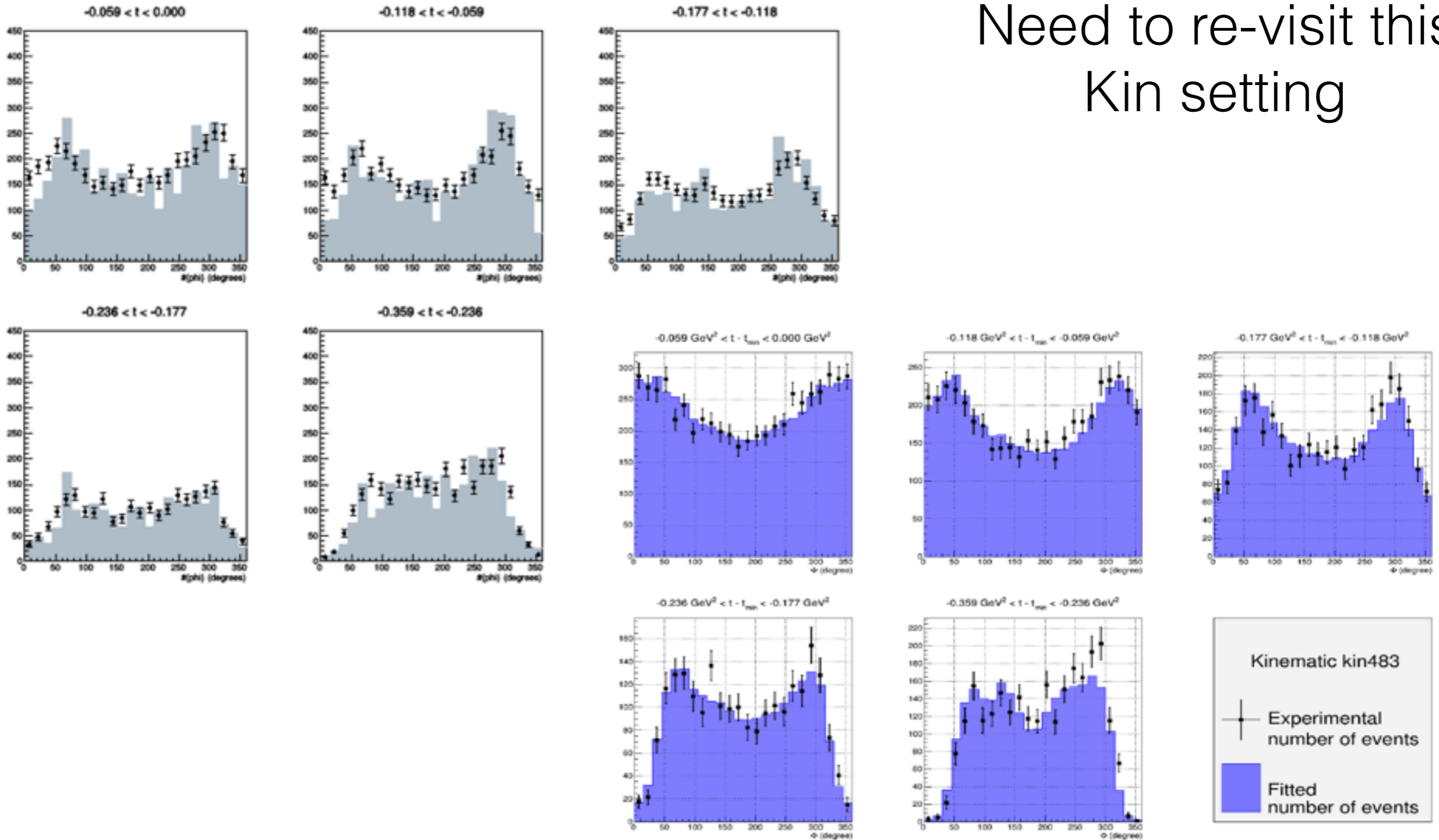
Im C(F\_0+)

	5	6	7	8	9
0	1.564	0.3842	1.843	0.3448	0.3903

0.3

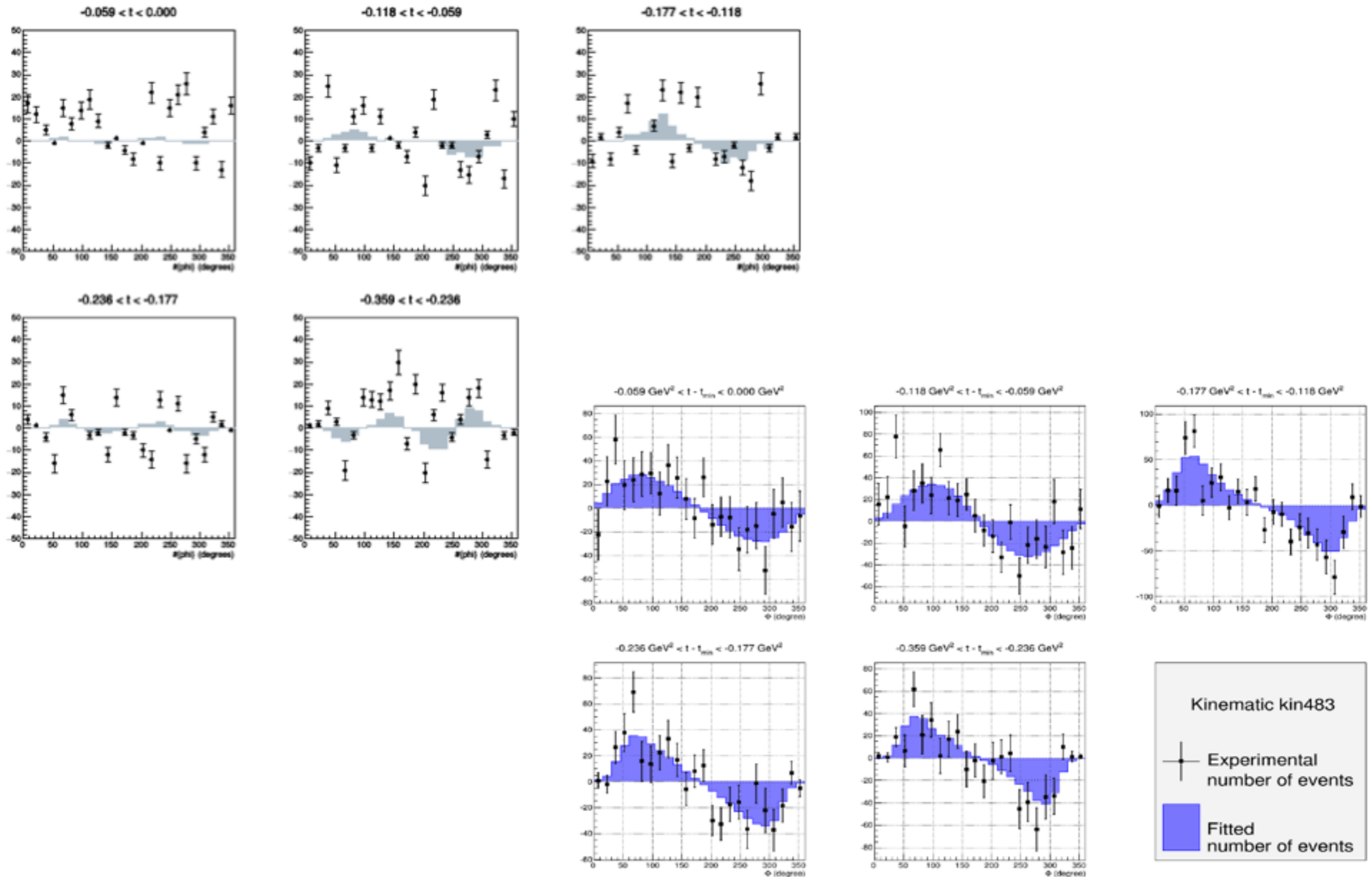
# $N_+ + N_-$ 483— Unpol

Need to re-visit this  
Kin setting



$N_+ - N_-$

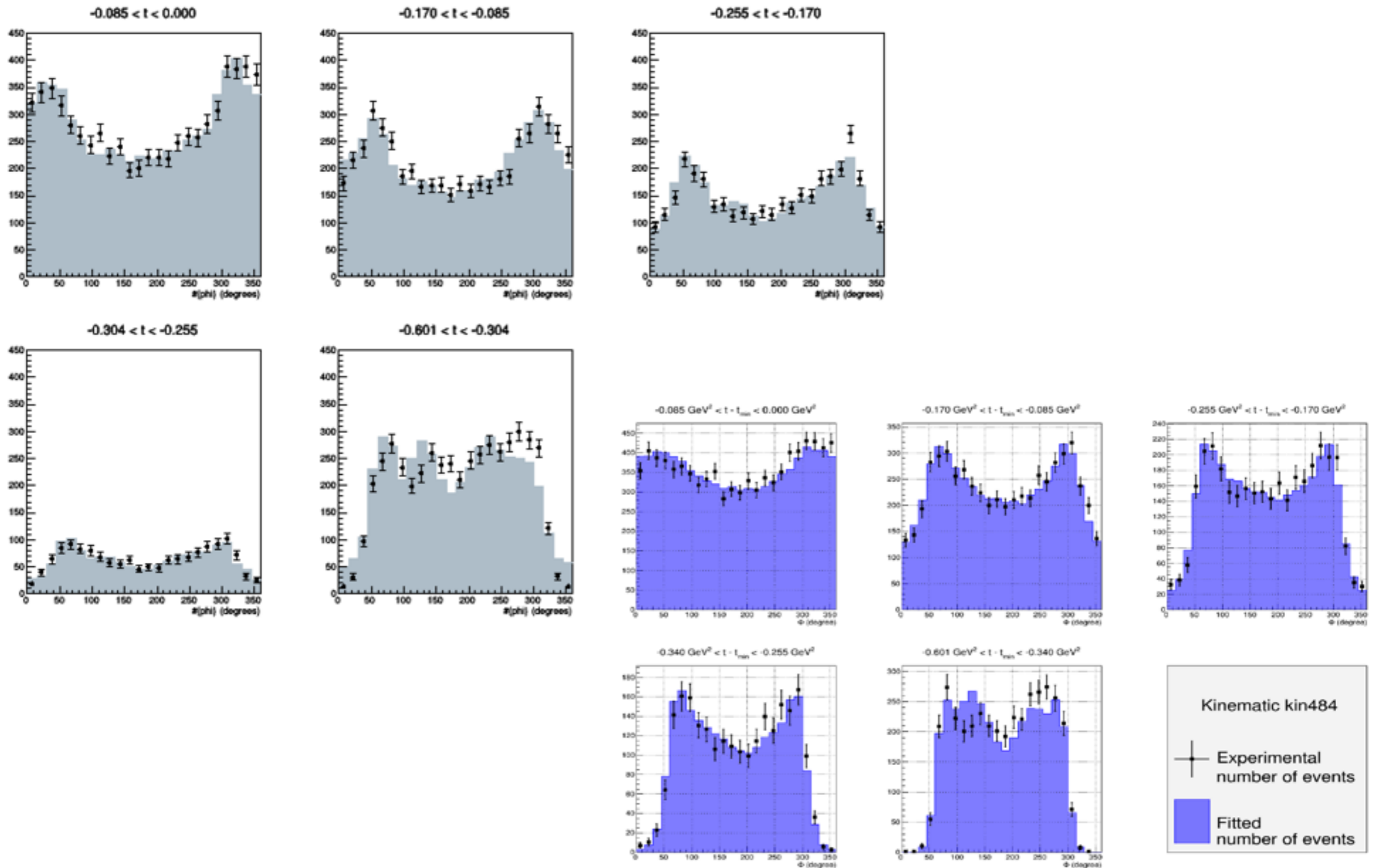
483— Pol





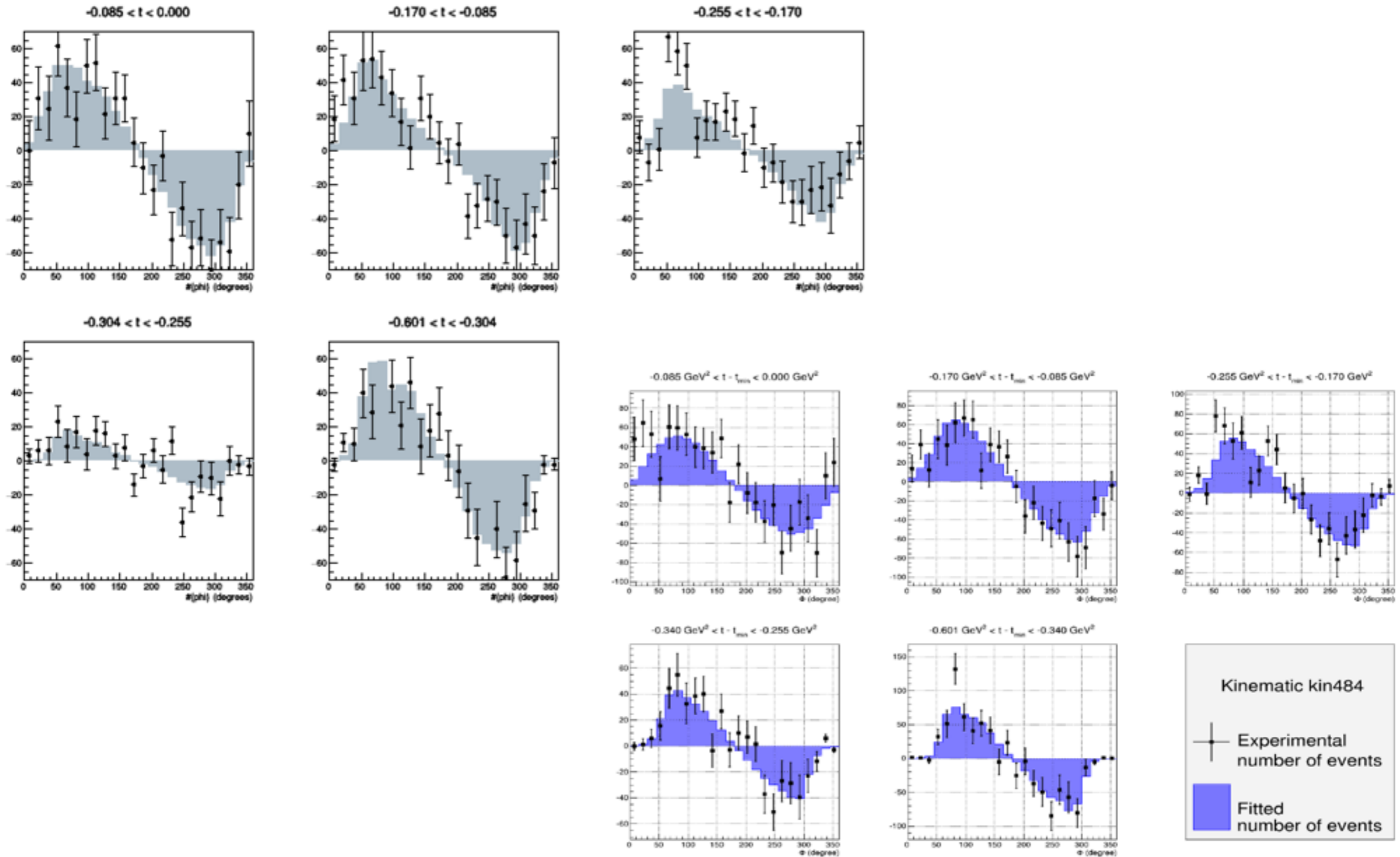


# $N_+ + N_-$ 484— Unpol



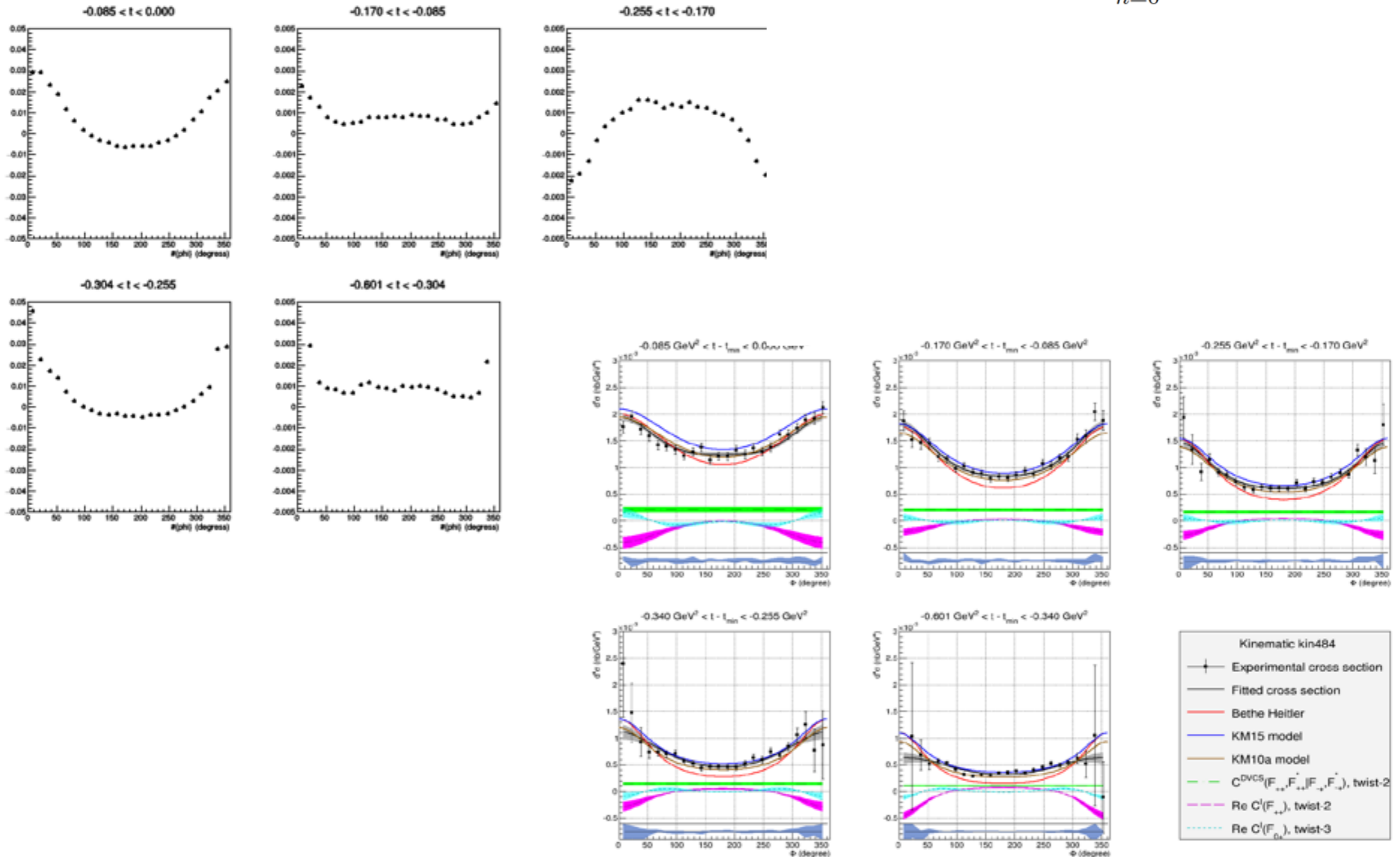
$N_+ - N_-$

484— Pol



# 484— Cross Sections

$$\frac{d^4\sigma}{dQ^2 dx_B dt d\phi} = \sum_{n=0}^N F_n(E, Q^2, x_B, t, \phi) X^n$$



# 484 Cross Section Extraction

C(DVCS)	0	1	2	3	4	12
	50.8	1.397	-3.006	42.9	1.493	
Re C(F_++)	5	6	7	8	9	-0.5
	-0.3996	37.95	1.443	0.3755	37.95	
Re C(F_0+)	10	11	12	13	14	-0.2
	1.629	0.5721	27.84	1.185	0.5976	
Im C(F_++)	0	1	2	3	4	0.3
	0.7992	0.2352	0.6787	-1.64	0.5558	
Im C(F_0+)	5	6	7	8	9	1.4
	-0.6038	0.537	-0.2106	0.435	0.0033	

# Conclusion:

CFFs and extracted cross sections mostly have the correct order of magnitude, but do not agree with Frederic's results.

Plan to triple check all of my analysis cuts.

Plan to triple check my fitting procedure for any coding errors.