

PHOTONS AS MESSENGERS OF THE NON-EQUILIBRIUM QUARK-GLUON PLASMA

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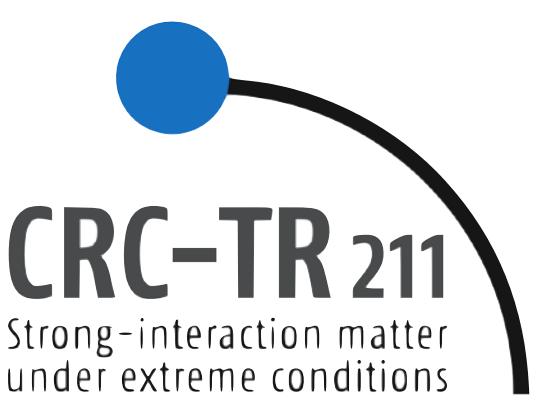
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FSP ALICE
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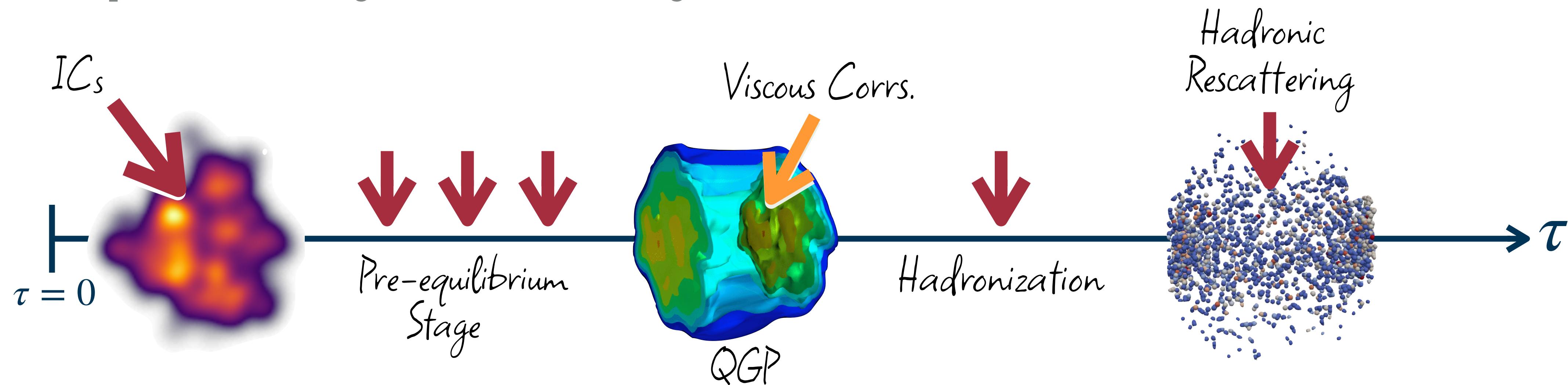
CONTENTS

- Photons and non-eq. effects
 - Early stages (Pre-eq)
 - Falling out of eq.: Hadronic Rescattering
- Photon Correlations
- Summary



MOTIVATION

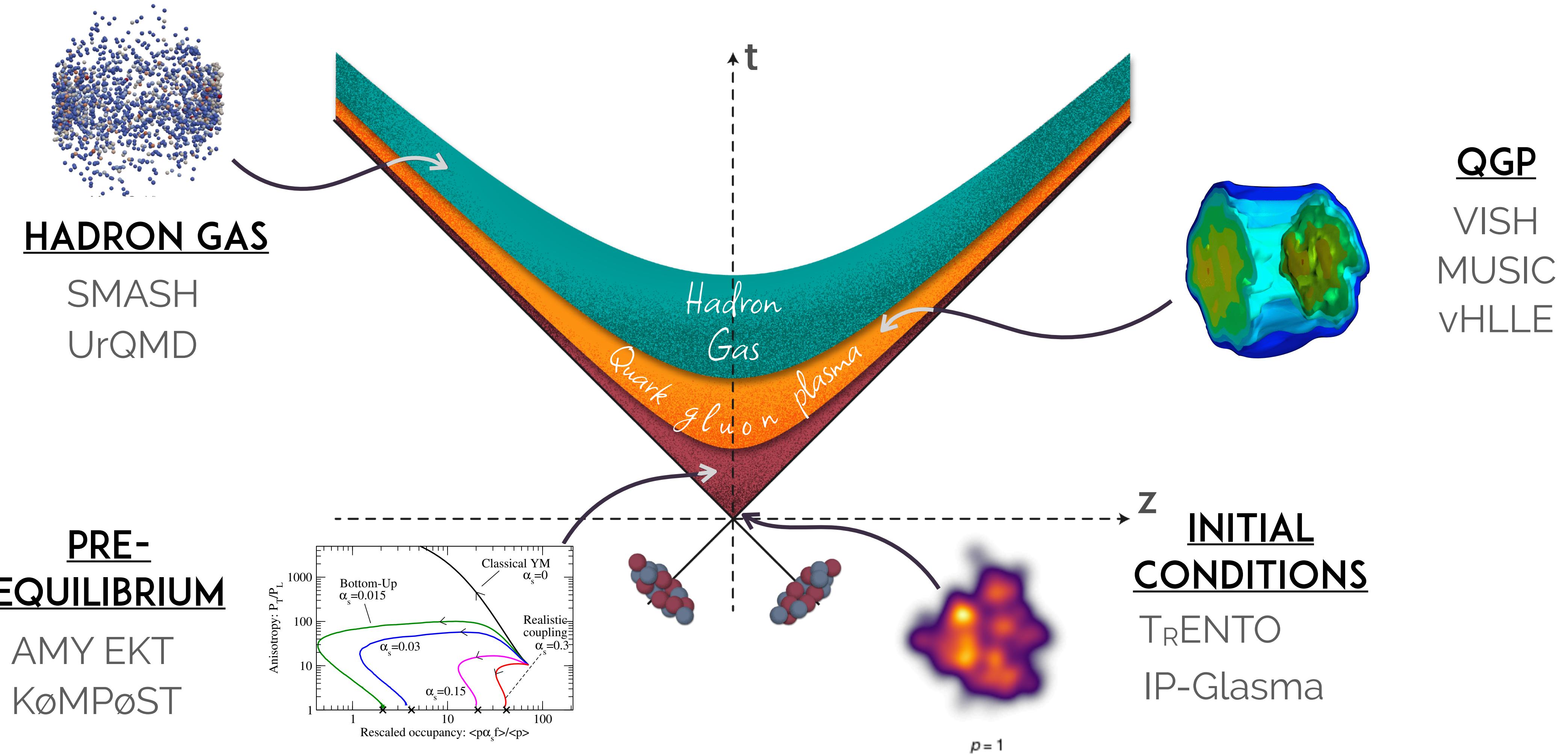
- Heavy-Ion Collisions create an Isolated Quantum System which is
 - Initially far away from any equilibrium
 - Self-interacting
 - Expanding against the vacuum
- A system *battling to thermalize against all odds.*



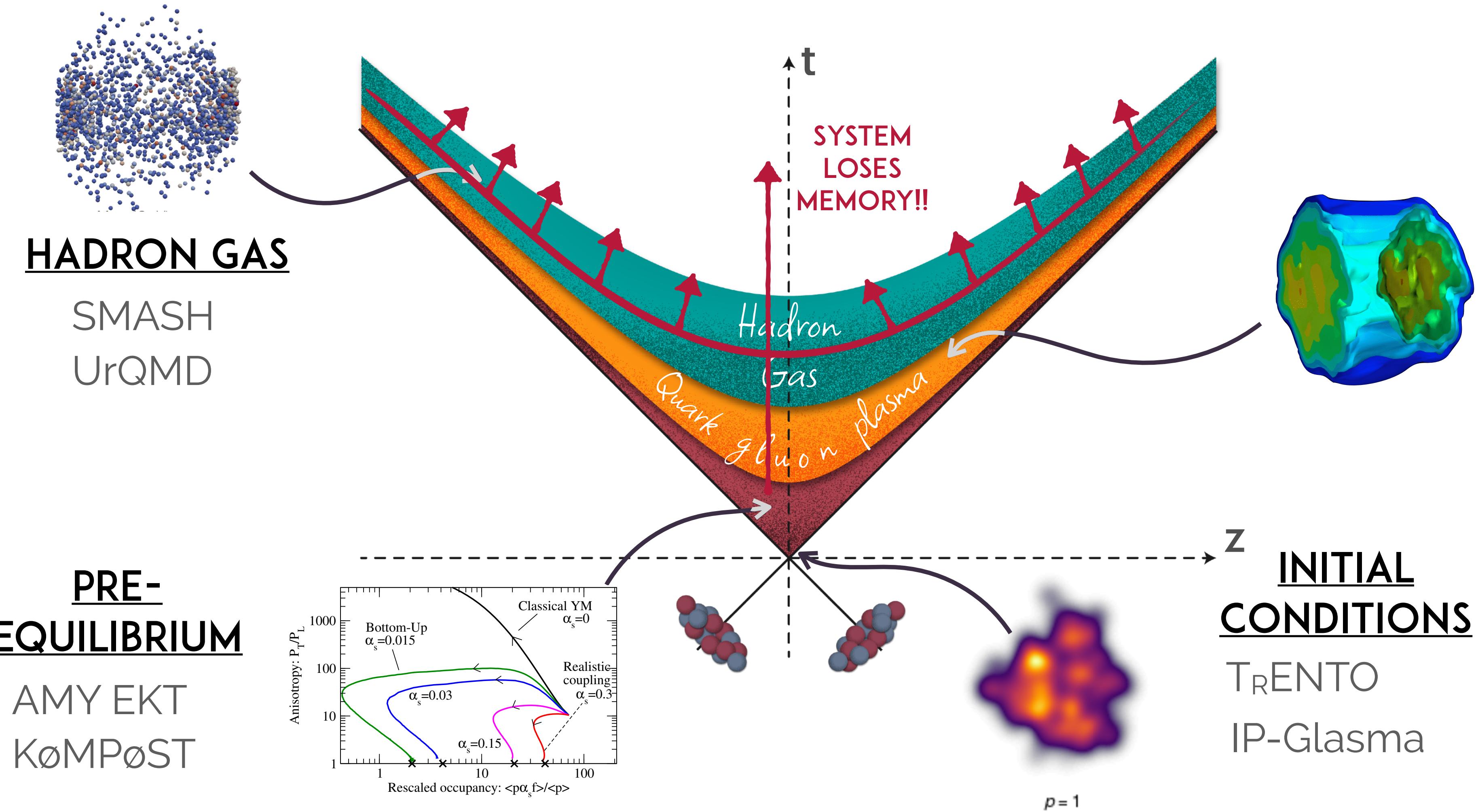
A high-contrast, black and white photograph of several ink droplets suspended in water. The ink is concentrated at the top and bottom edges of the frame, with wispy, turbulent plumes extending downwards towards the center. The droplets appear as dark, irregular shapes against a bright, almost white, background.

CAN WE PROBE
THE ROLE OF
Non-Eq DYNAMICS?

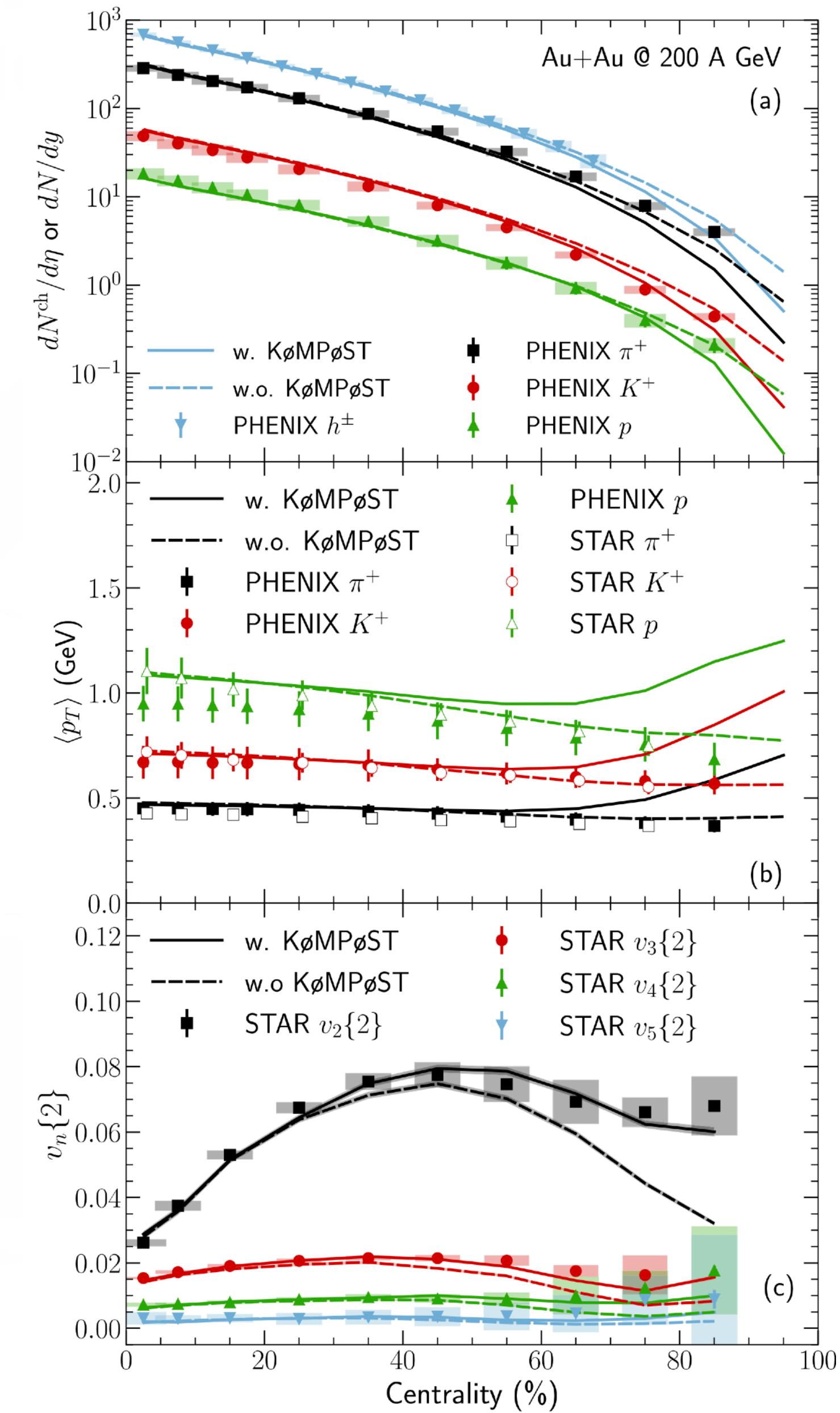
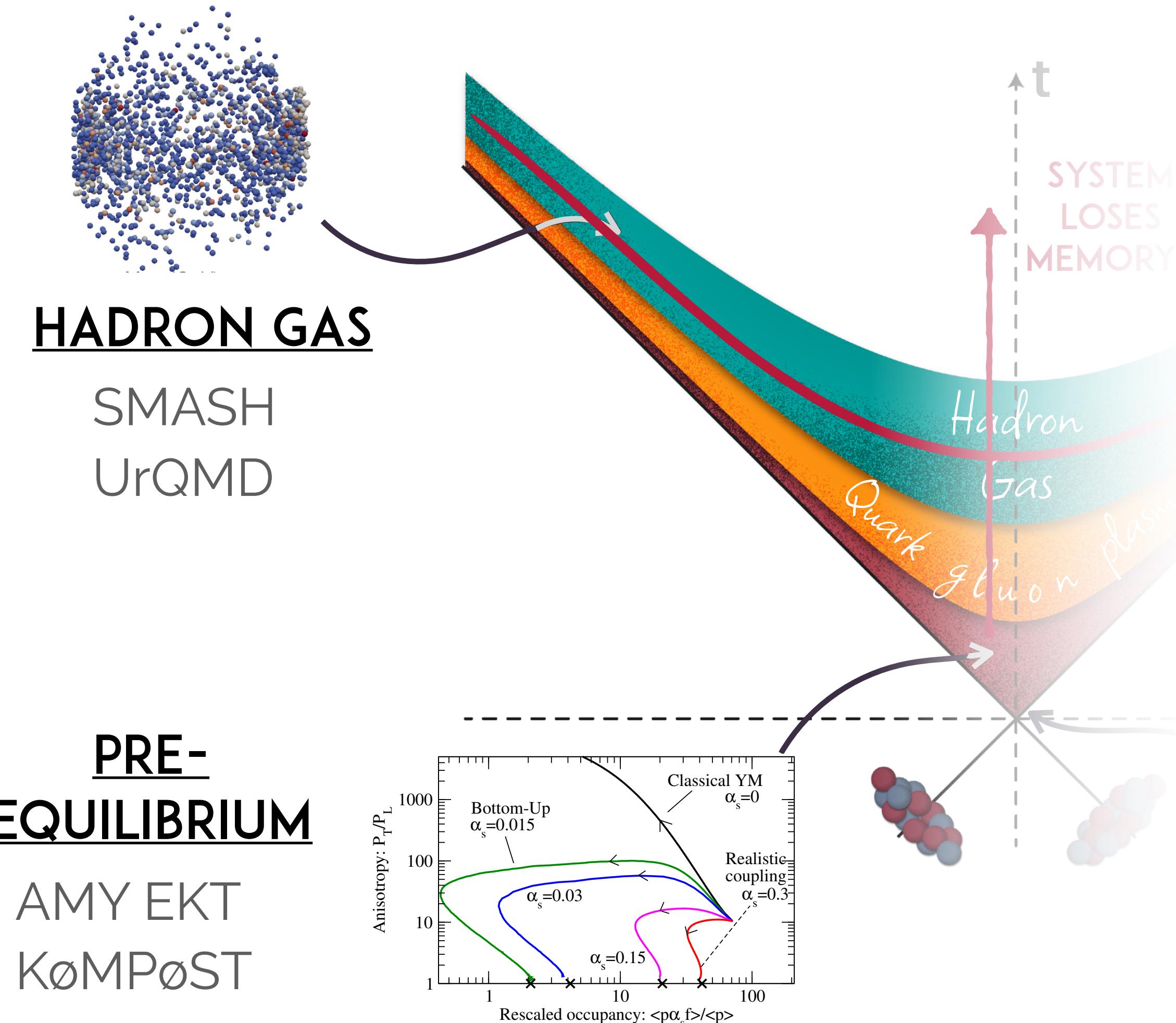
THE STANDARD MODEL OF HEAVY ION COLLISIONS: A HYBRID MODEL



THE STANDARD MODEL OF HEAVY ION COLLISIONS: A HYBRID MODEL



THE STANDARD MODEL COLLISIONS: A HYBRID



WHAT CAN WE
USE TO PROBE
THE ROLE OF
Non-Eq DYNAMICS?



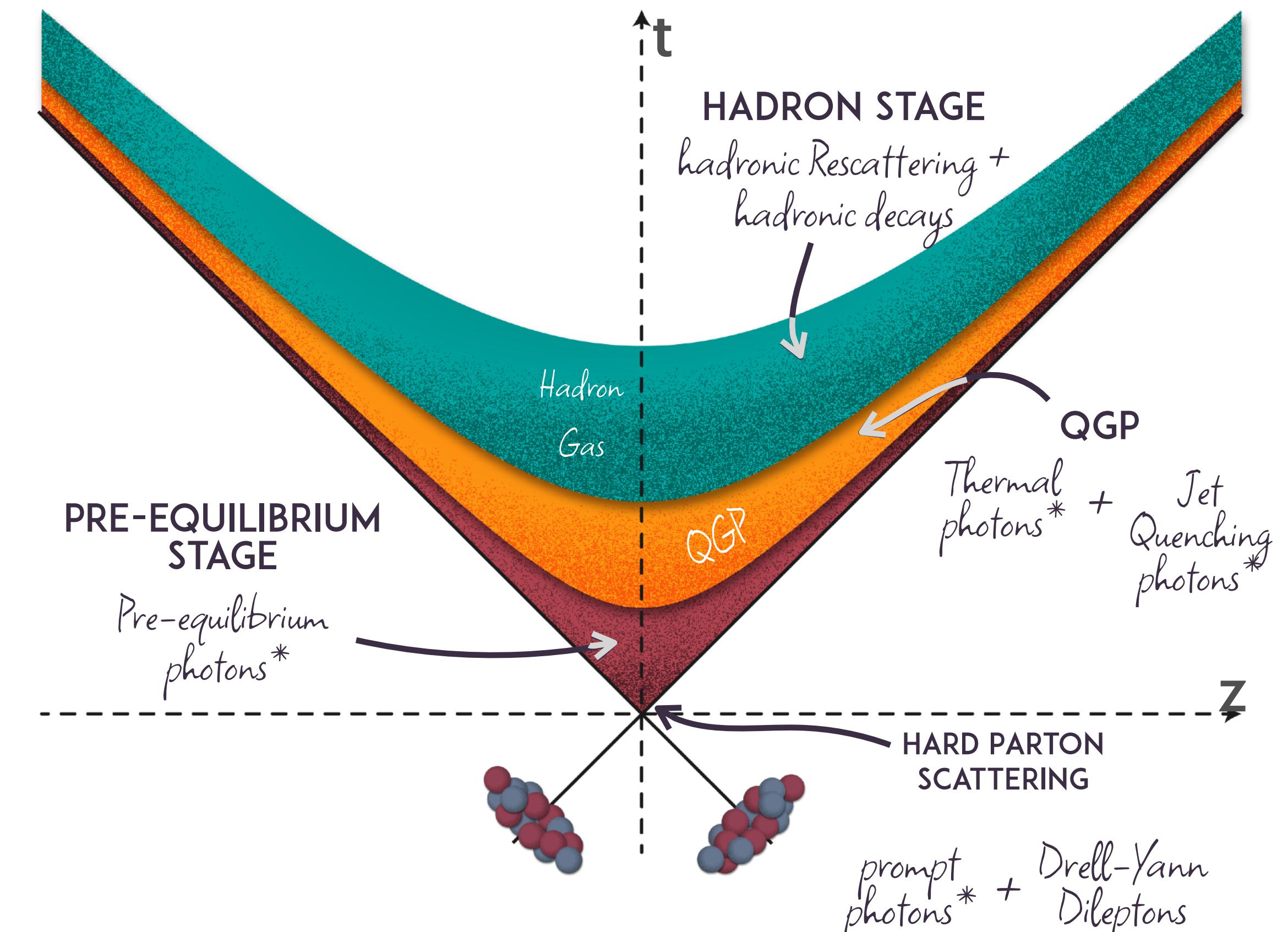
ELECTROMAGNETIC PROBES

- TBU: *Photons* and *dilepton pairs*
- No strong interactions
- Mean free path in medium > medium size
 - └ Photon escape, virtually unscathed

AS A CONSEQUENCE...

- Different sources through the evolution
- EMPs are particularly sensitive to the evolution of the system
- *Direct Photons** are not produced in decays

THE STANDARD MODEL OF HEAVY ION COLLISIONS



Photons* = virtual photons, i.e. dilepton pairs also included in this notation

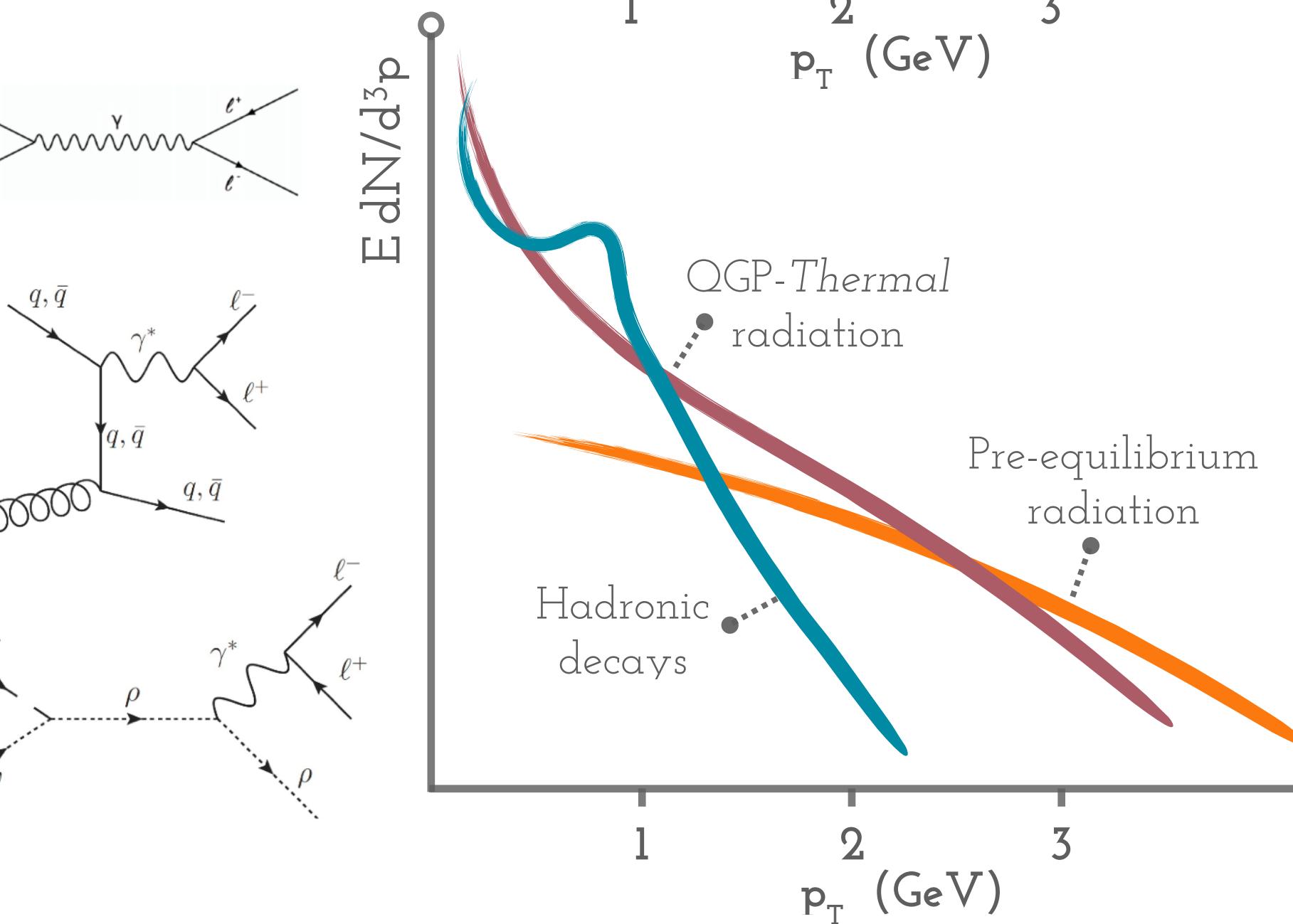
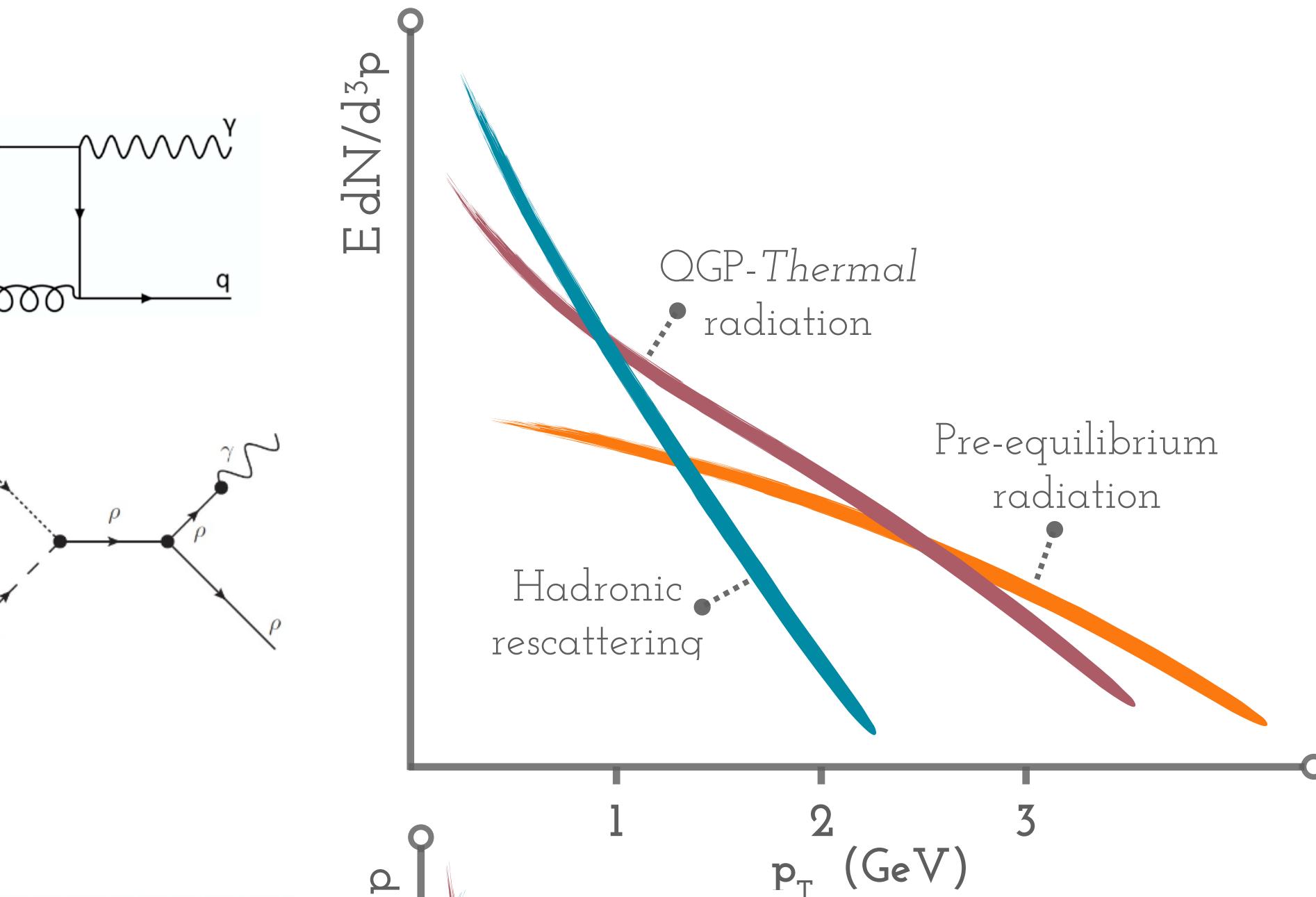
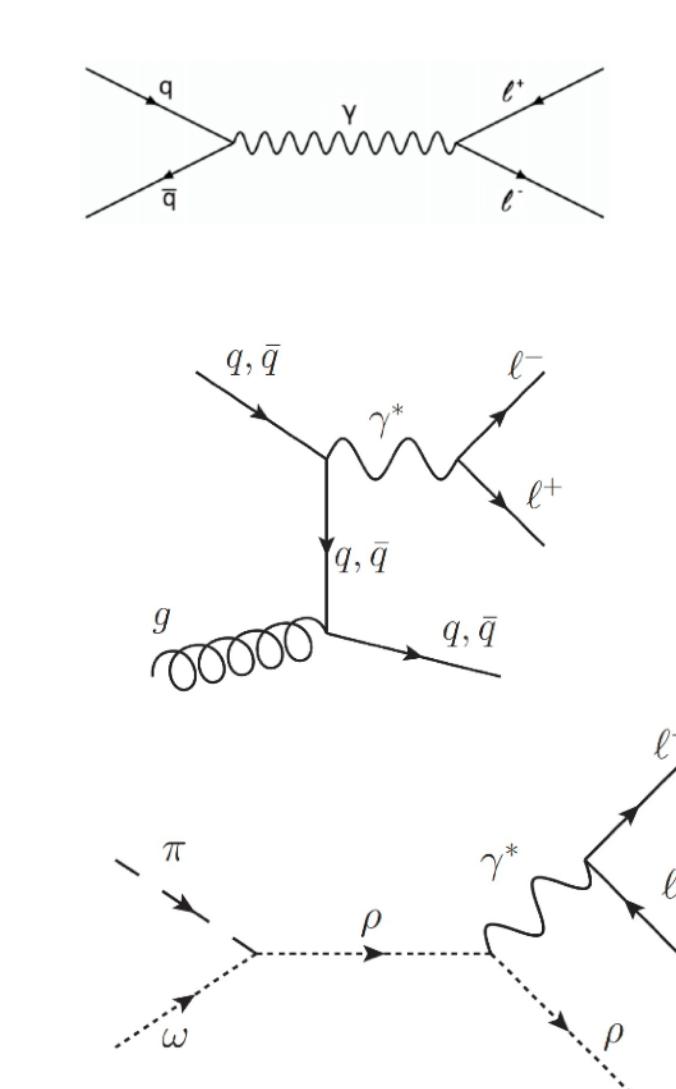
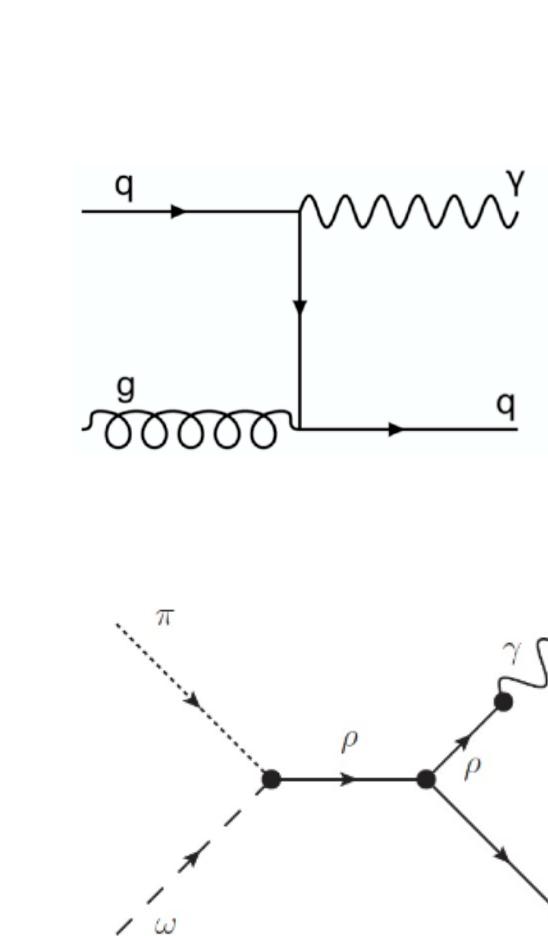
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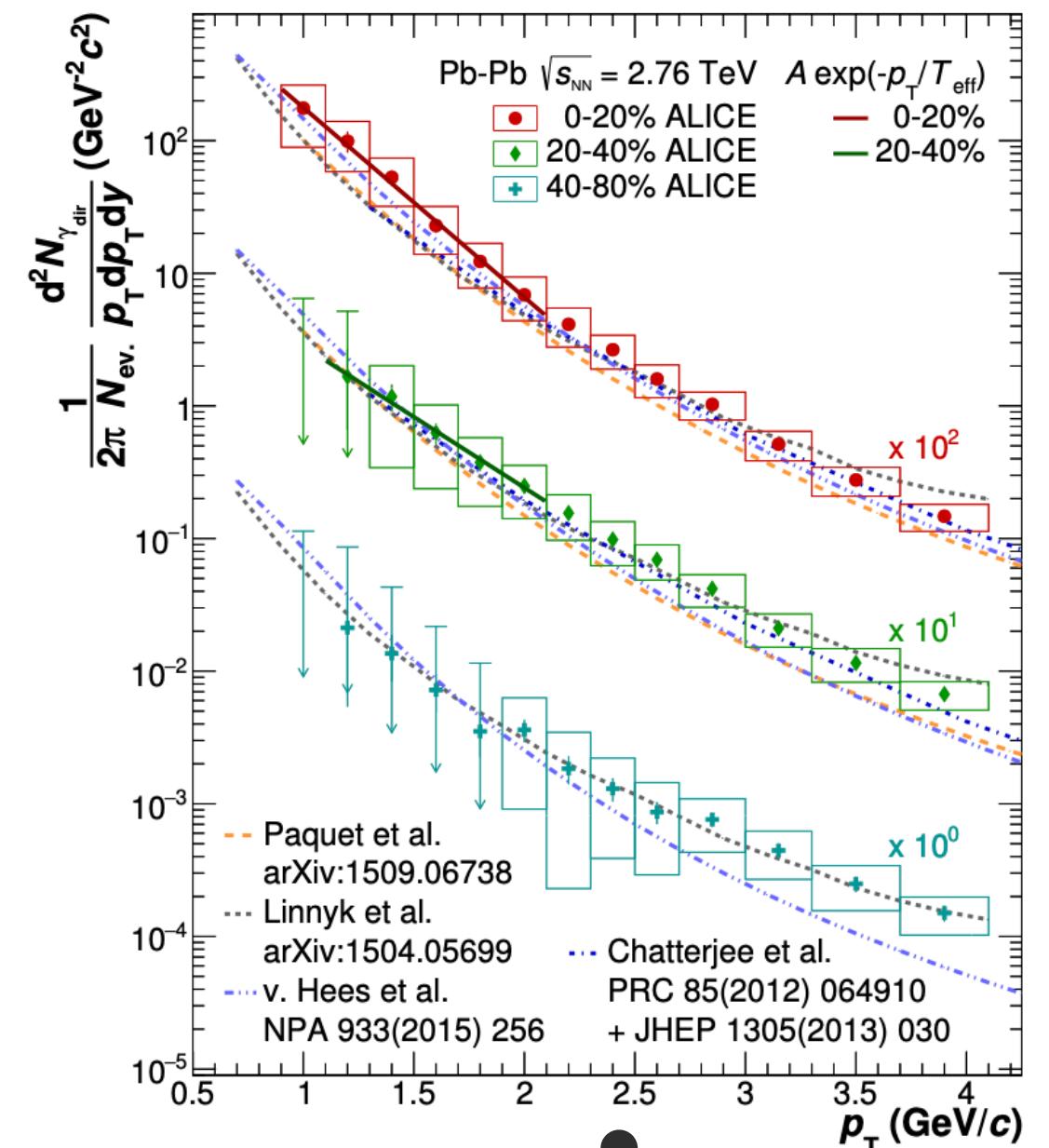
Direct EMPs are not produced through decays



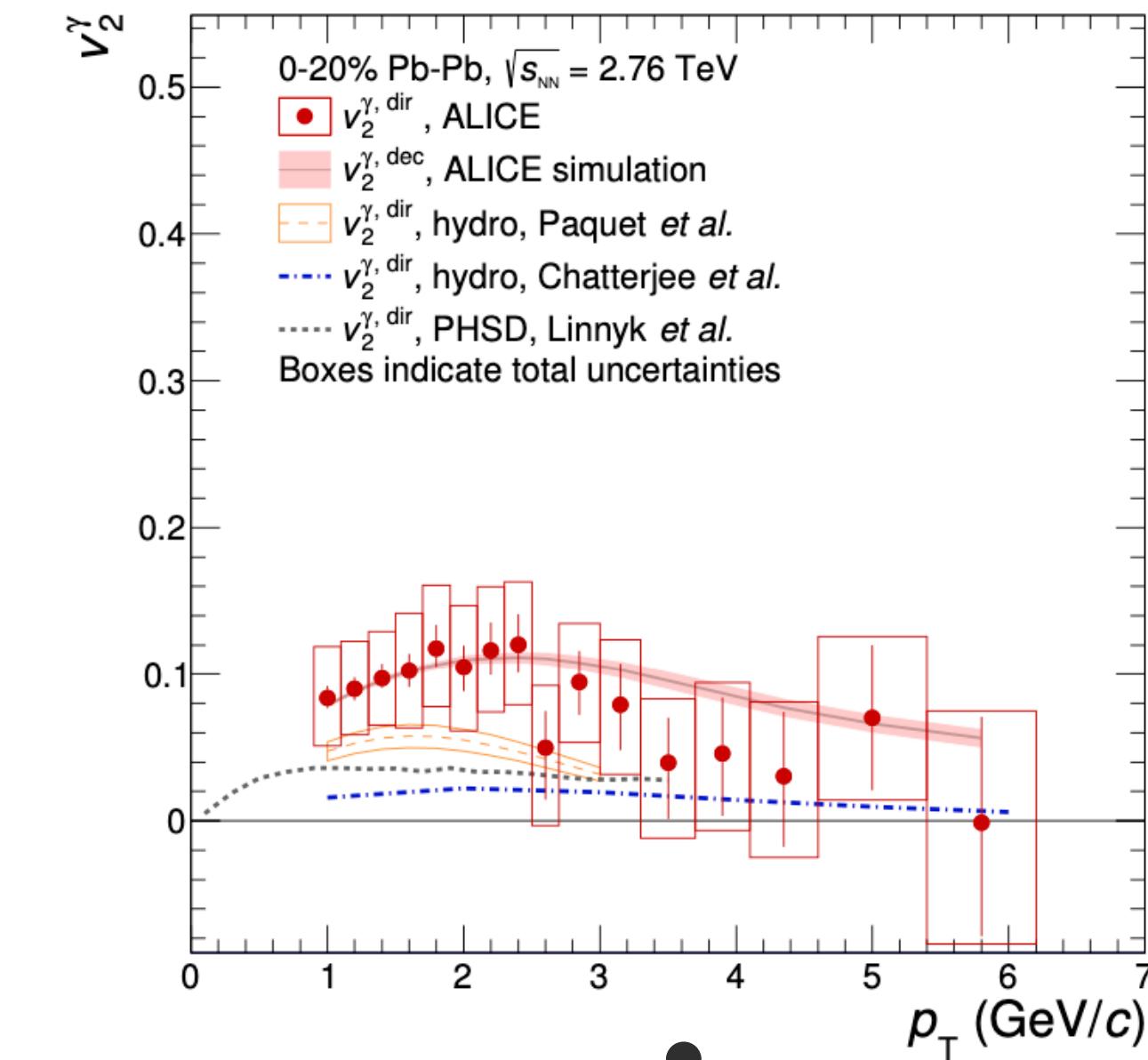
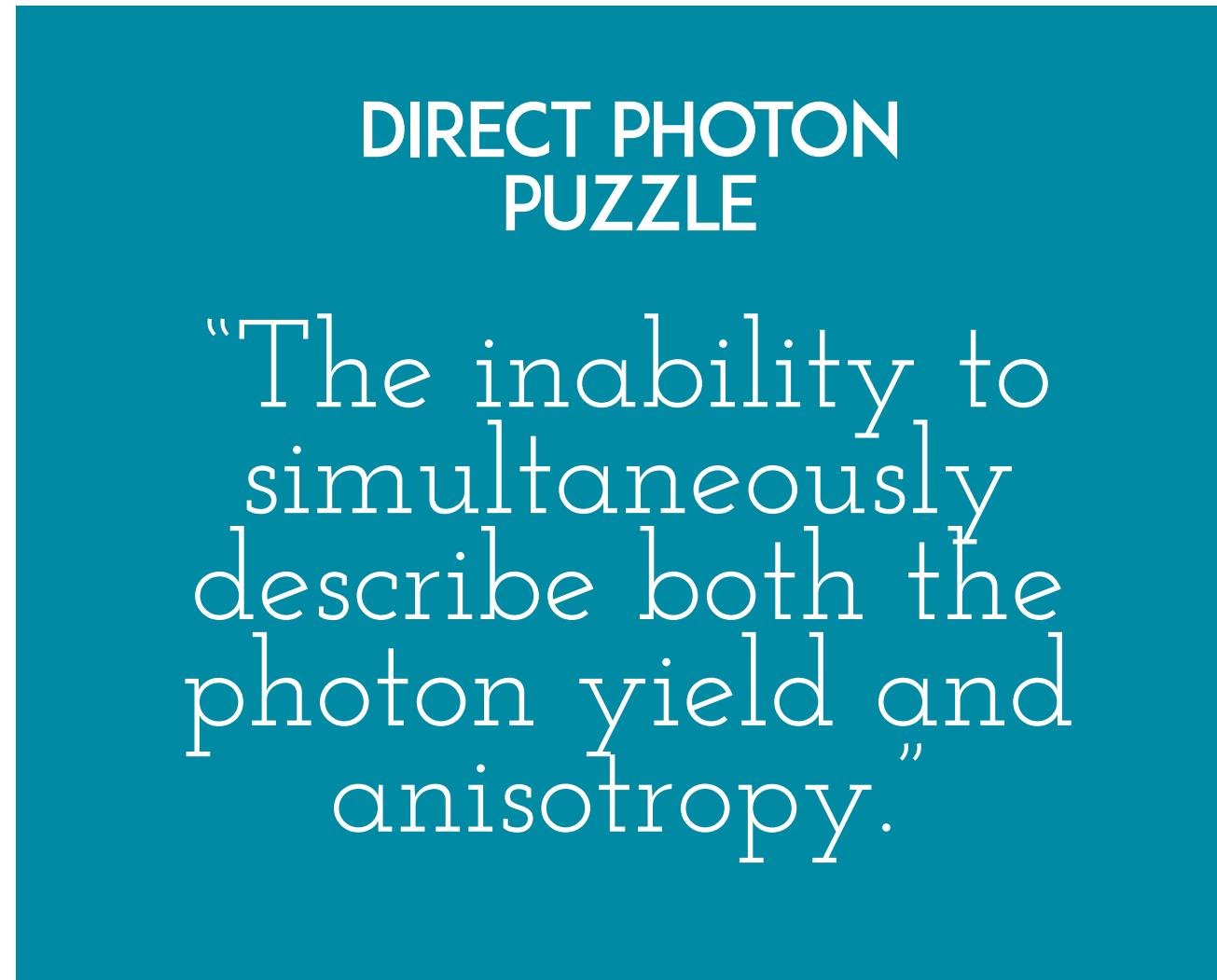
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HOWEVER,

EM probes are yet to be fully understood.



Yield



Anisotropy coefficients

$$E \frac{dN}{d^3 p} = \left[\frac{1}{2\pi p_\perp} \frac{dN}{dp_\perp dy} \right] \left[1 + \sum_{n=1}^{\infty} v_n(p_\perp) \cos [n(\phi - \Psi_n)] \right]$$

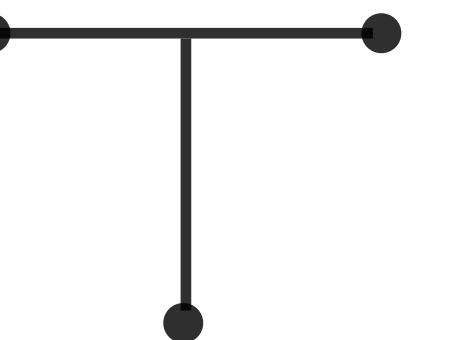
DIRECT EM PROBES

HOWEVER, electromagnetic probes are complicated

Since the yield is given by

$$E \frac{dN}{d^3 p} = \int_{\tau_0}^{\infty} E \frac{dN}{d\tau d^3 p} = \sum_i \int_{\tau_i}^{\tau_{i+1}} E \frac{dN_i}{d\tau d^3 p}$$

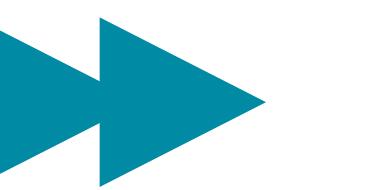
This entangles the yields originating in different stages



And the v_n even more
(as it is a weighted avg.)

HOW TO DISENTANGLE A LONG EXPOSURE PICTURE?

Correlations.



We'll come back to this.



Recent advances in...

PHOTONS AS MESSENGERS OF EARLIER TIMES

EARLY RADIATION: IS IT RELEVANT?

- Pre-equilibrium photons are computed using approximated 2-to-2 kinetic rates

$$E \frac{d^3 R}{d^3 p} = \frac{40}{9\pi^2} \alpha \alpha_s \mathcal{L} f_q(\mathbf{p}) \int \frac{d^3 p'}{(2\pi)^3} \frac{1}{p'} [f_g(\mathbf{p}') + f_q(\mathbf{p}')] \quad \text{with } \mathcal{L} = \text{Regulator}$$

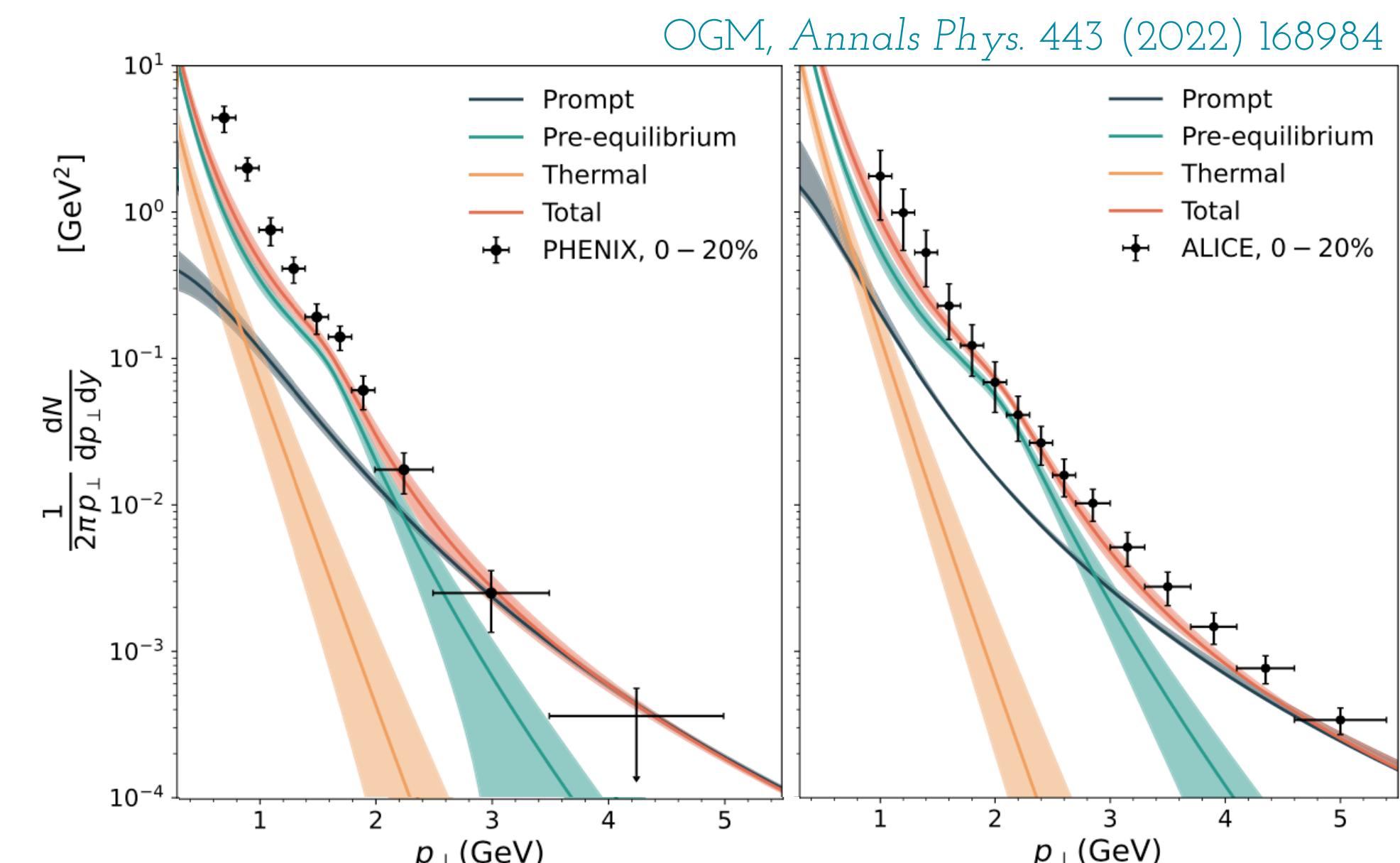
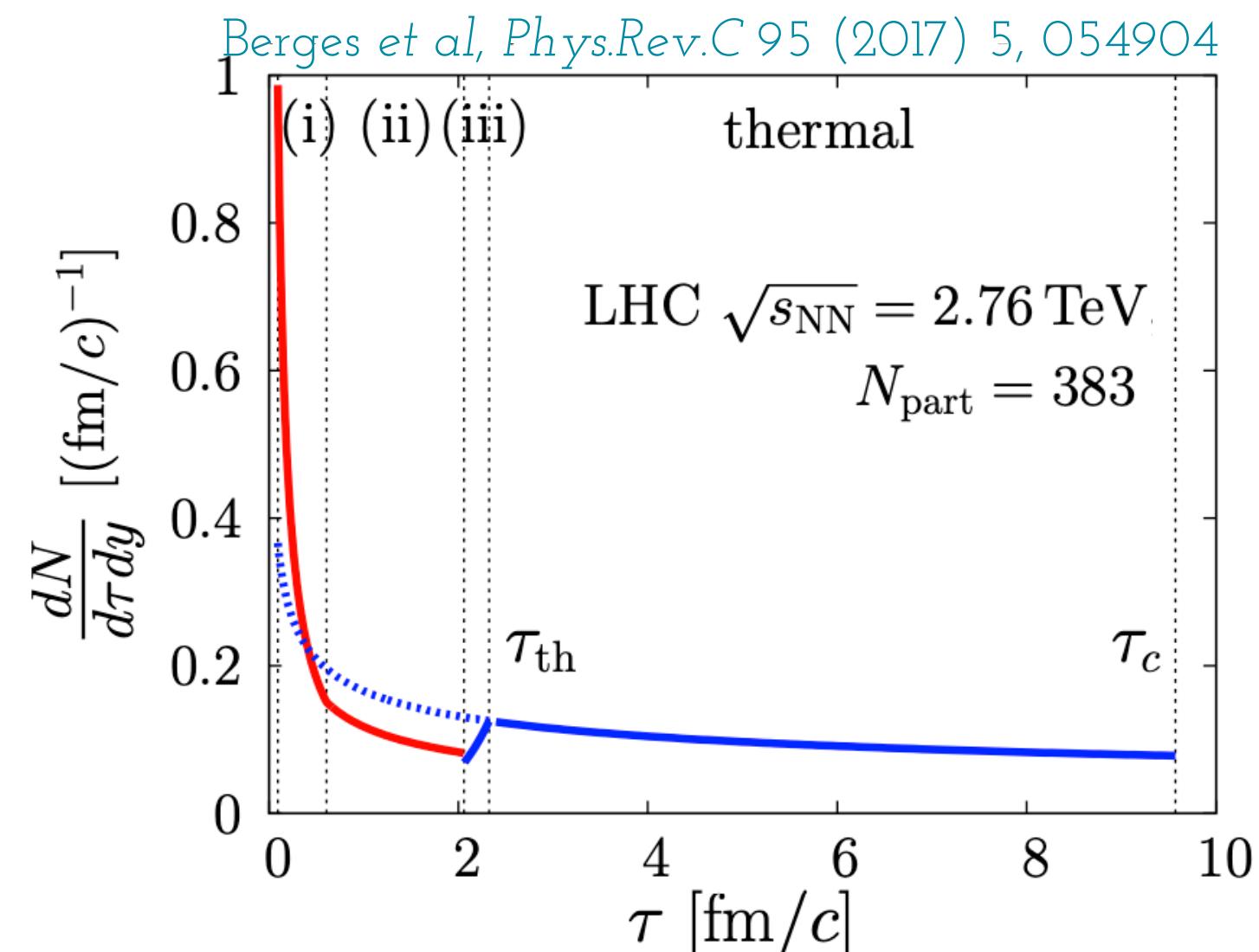
- a) Regulator
- b) Quark distribution
- c) Related to screening masses

- Space-time evolution to fold the rates with. Use the "bottom-up" thermalization scenario:

- 1) Early times: 2-to-2 broadening $1 \ll \tau Q_S \ll \alpha_S^{-3/2}$
- 2) Onset of thermalization. $\alpha_S^{-3/2} \ll \tau Q_S \ll \alpha_S^{-5/2}$
- 3) Mini-jet quenching $\alpha_S^{-5/2} \ll \tau Q_S \ll \alpha_S^{-13/5}$

- Input : Gluon distributions from classical statistics
Pheno. matching for the free parameters, i.e. Q_S

Caveat: pure "bottom-up" gives a long pre-equilibrium stage. These should be taken as **largest**



REFINEMENT: KINETIC THEORY

- Pre-equilibrium photons are computed using approximated 2-to-2 kinetic rates

$$E \frac{d^3 R}{d^3 p} = \frac{40}{9\pi^2} \alpha \alpha_s \mathcal{L} f_q(\mathbf{p}) \int \frac{d^3 p'}{(2\pi)^3} \frac{1}{p'} [f_g(\mathbf{p}') + f_q(\mathbf{p}')] \quad \boxed{\text{---}}$$

- Distributions are computed in QCD Kinetic theory, using the Fokker-Planck diffusion approximation

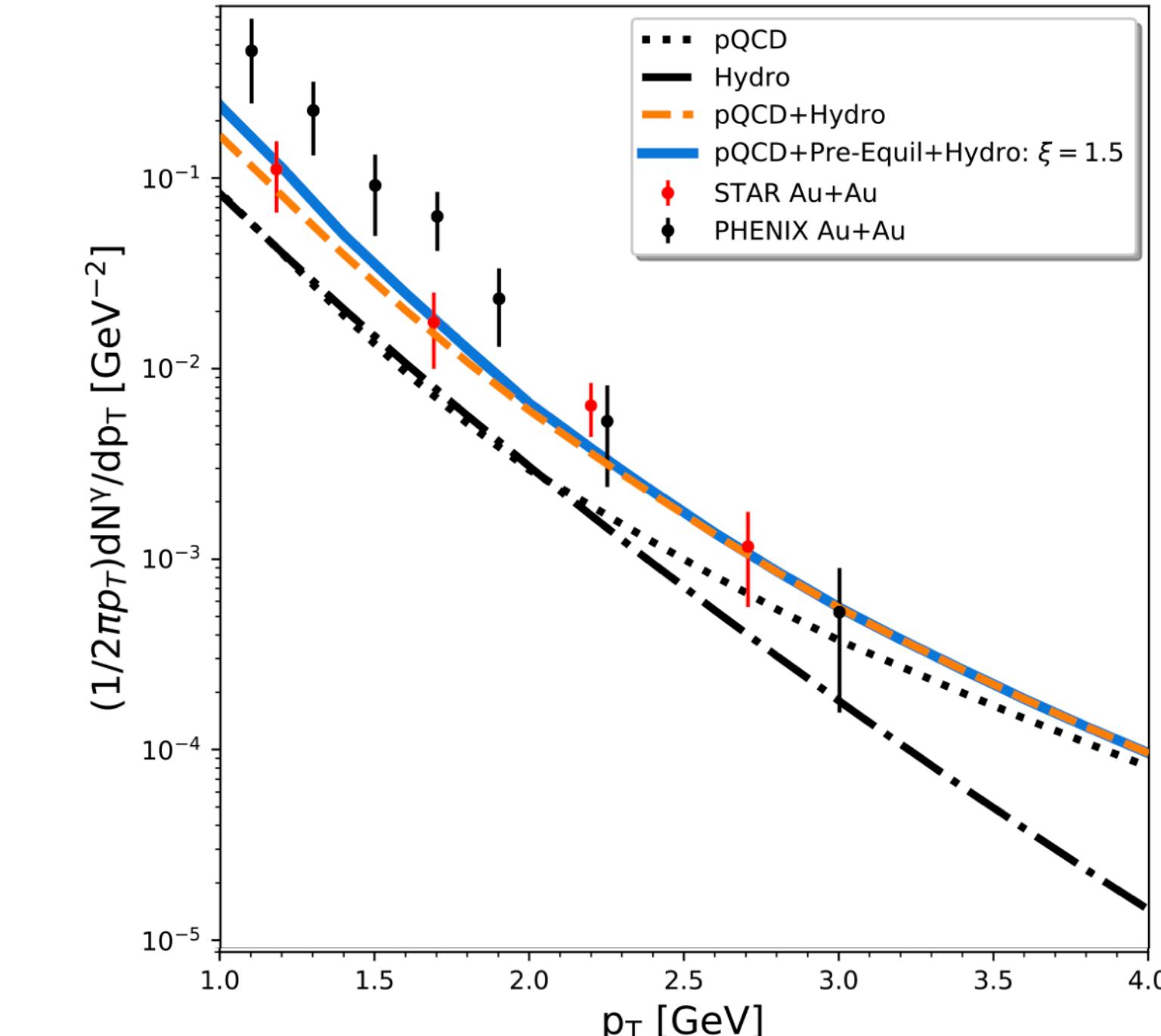
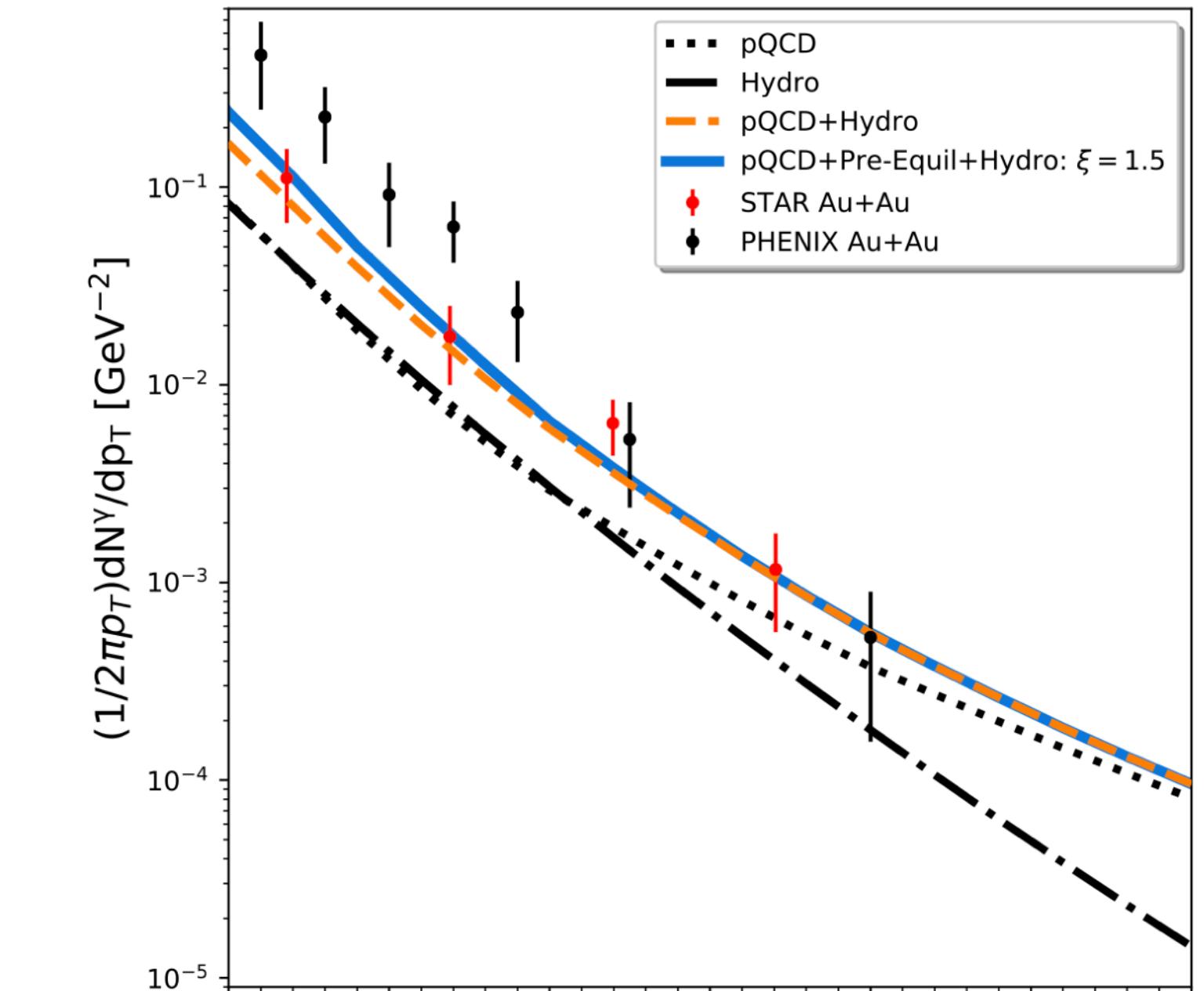
$$\left(\frac{\partial}{\partial t} + \mathbf{v} \cdot \nabla_{\mathbf{x}} \right) f_{g/q}(t, \mathbf{x}, \mathbf{p}) = -\nabla_{\mathbf{p}} \cdot \mathcal{J}_{g/q} + \mathcal{S}_{g/q}$$

$$\text{ICs: } f_g(t_0, p) = f_0 \theta\left(1 - \frac{\sqrt{p_{\perp}^2 + p_z^2 \xi^2}}{Q_s}\right) \quad \text{and} \quad f_q(t_0, \mathbf{x}, \mathbf{p}) = 0$$

- Pheno. matching to energy (multiplicities)

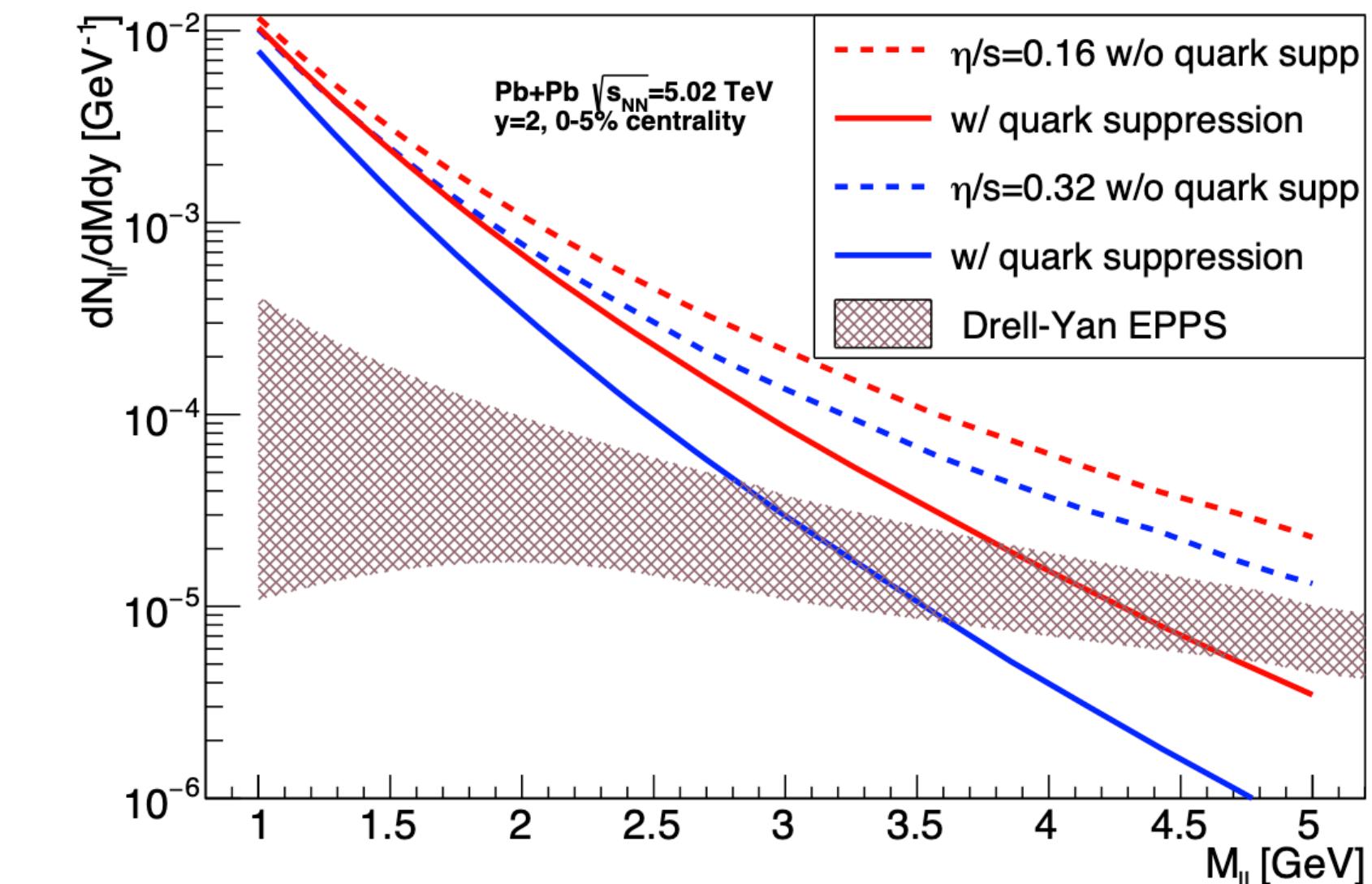
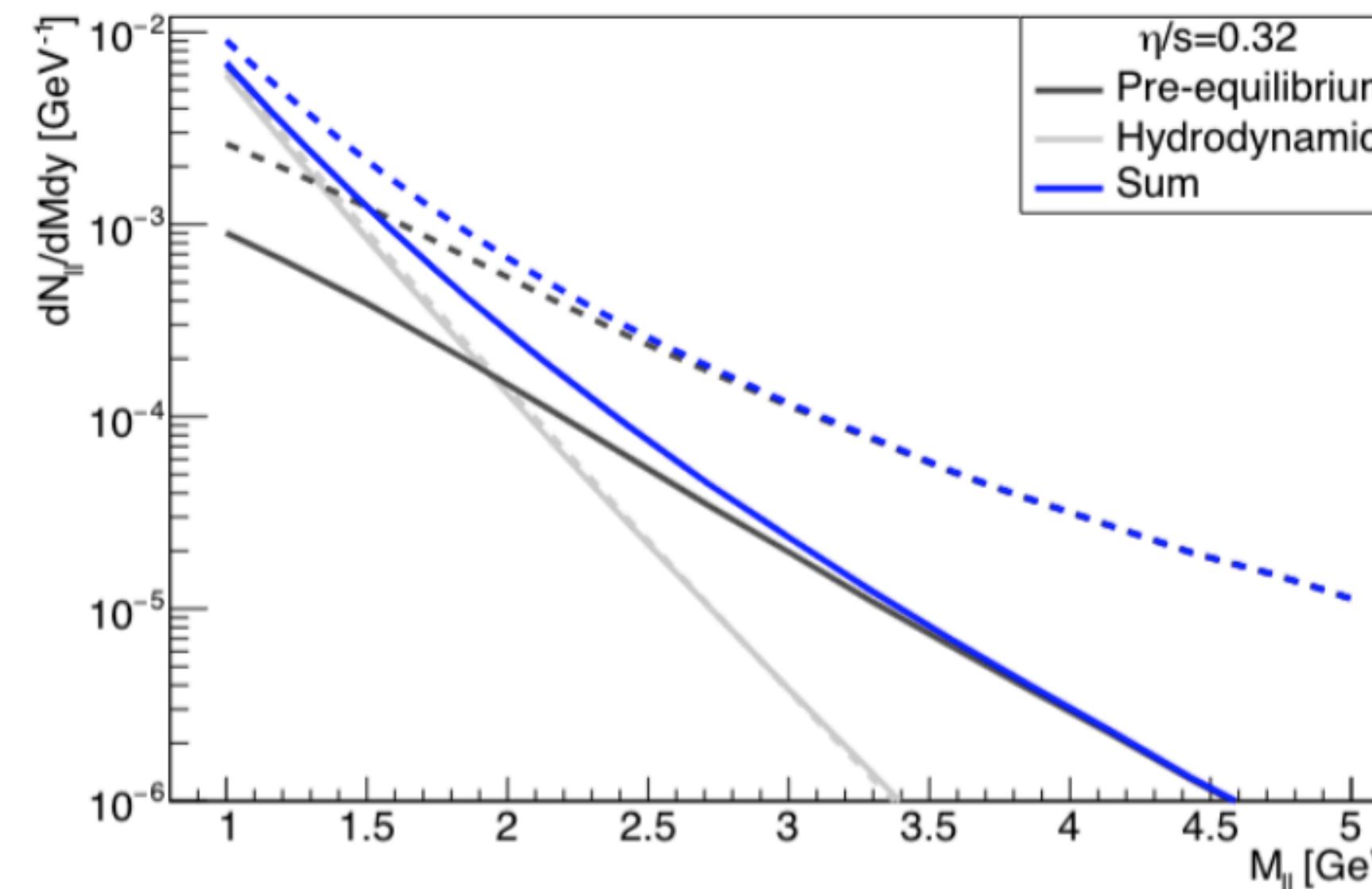
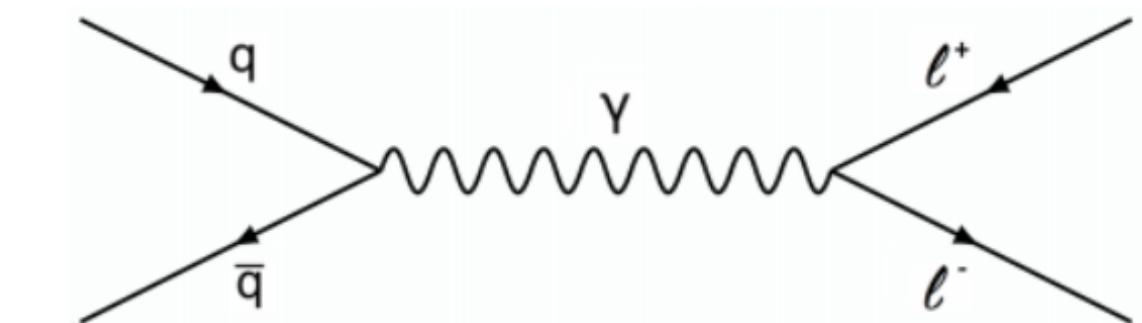
$$\frac{dE}{d\eta} = 2N_c C_F A_T \frac{f_0 Q_s^3}{(2\pi)^2} \frac{1}{\xi} \mathcal{F}(\xi)$$

- Gluon number suppressed by large Q_s . Pre-eq. Photons relevant at lower energies.



DI-LEPTON PRODUCTION IN HICS

- Di-lepton ($e^+e^-/\mu^+\mu^-$) pairs with invariant mass $M \sim \text{few GeVs}$ produced during the initial state; late stage production is suppressed by $\exp(-M/T)$
- Do pre-equilibrium dileptons “out-shine” the Drell-Yann, decay spectra?
 - └ For some kinematic windows, it may be the case.



- New window into pre-equilibrium dynamics for $1\text{GeV} < M < 3\text{GeV}$ accessible with next generation of heavy-ion detectors (ALICE3,LHCb)

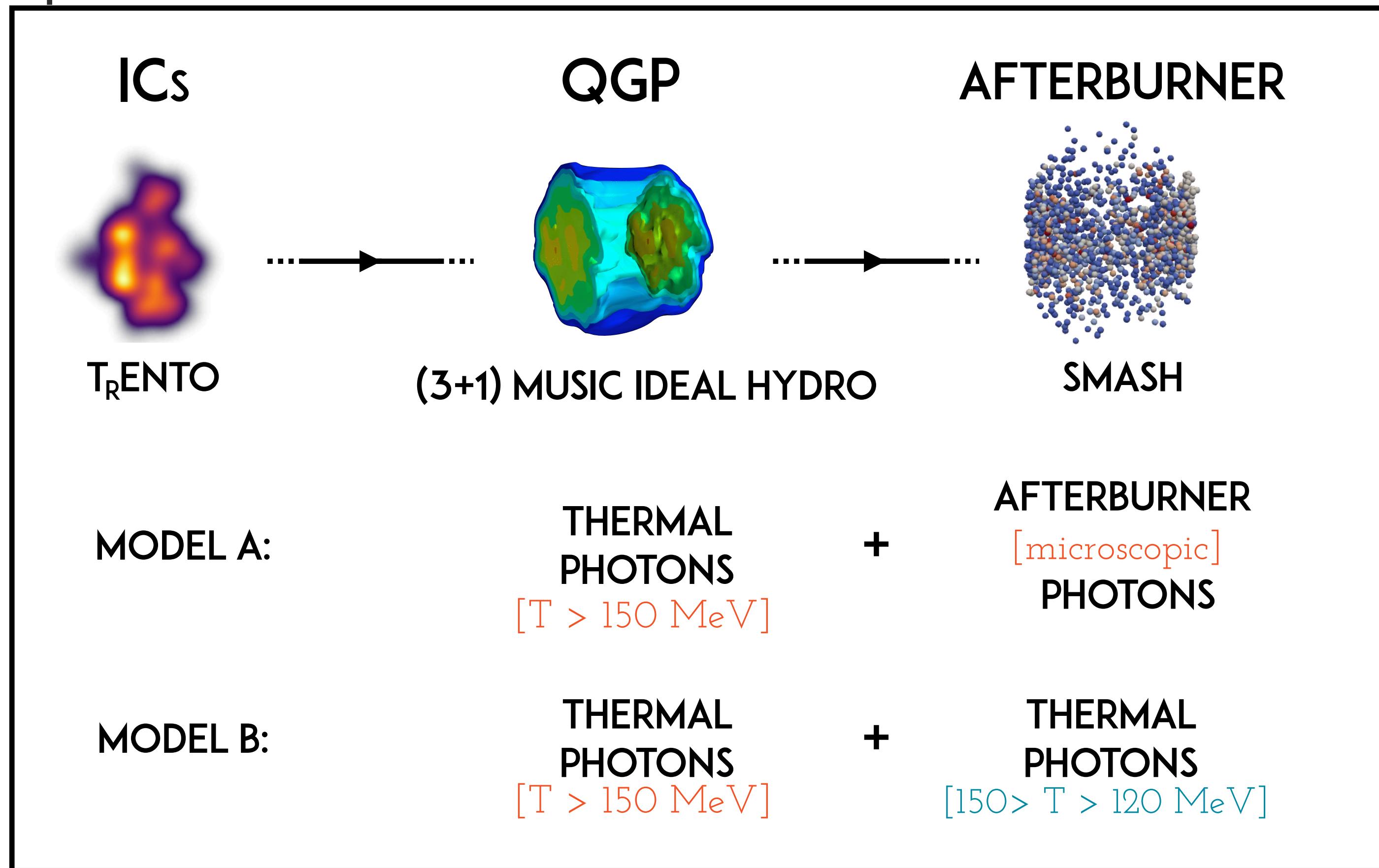
Falling out of equilibrium

RESCATTERING DURING THE HADRONIC STAGE



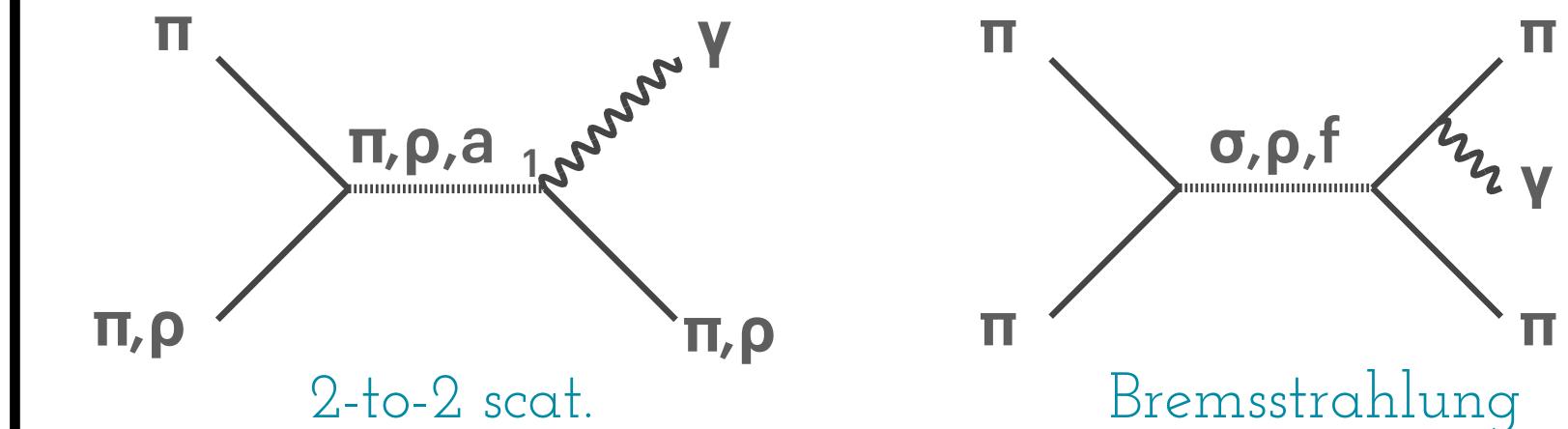
NEQ EFFECTS IN THE HADRONIC STAGE

- Hadronic observables are sensitive to end (hadronic) non-equilibrium effects. Are the photons produced also sensitive?



PHOTONS FROM HADRONIC RESCATTERING

Main contributions



Hydrodynamical - Thermal Rates

- Rates obtained from convolution of process amplitude and thermal distribution functions

QGP: AMY, JHEP 0112 (2001) 009

HRG: Turbide *et al*, Phys. Rev. C69, 014903 (2004)

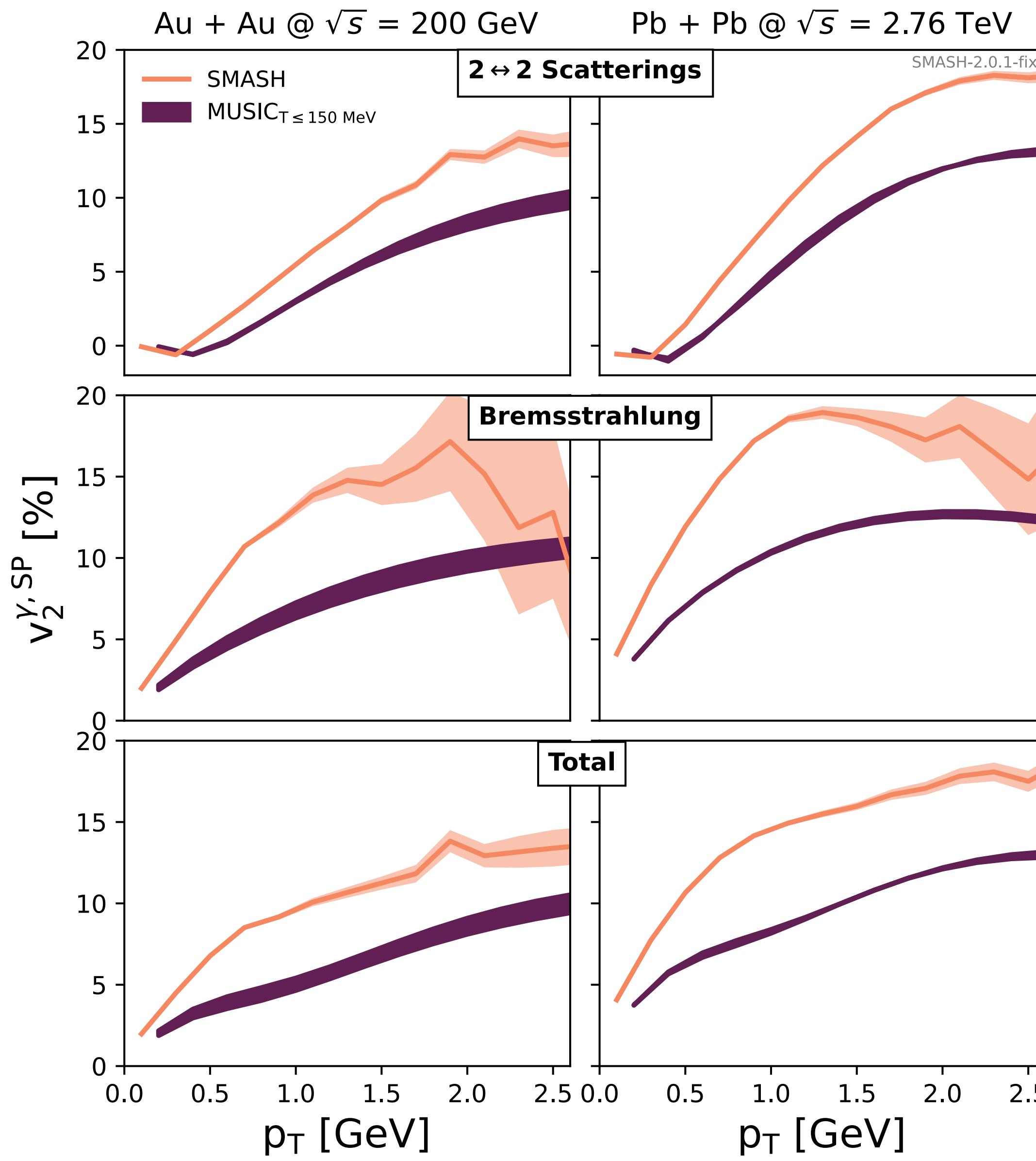
Transport - SMASH photons

- Non-equilibrium production of photons in hadronic matter
- Perturbative production - no backreaction
- Photons are sampled when underlying meson scattering happens

Meson scattering

Schäfer *et al*, Phys.Rev.D 99 (2019) 11, 114021

Note: Total is weighted average!



EQUILIBRIUM VS NON-EQUILIBRIUM

SOME TECHNICAL DETAILS

Average (smooth) ICs for $b = 5$ fm

EoS: HoTQCD+SMASH

Transition Temperature $T=150$

- Checked hadronic observables ✓

- Comparison: Model A vs. Model B

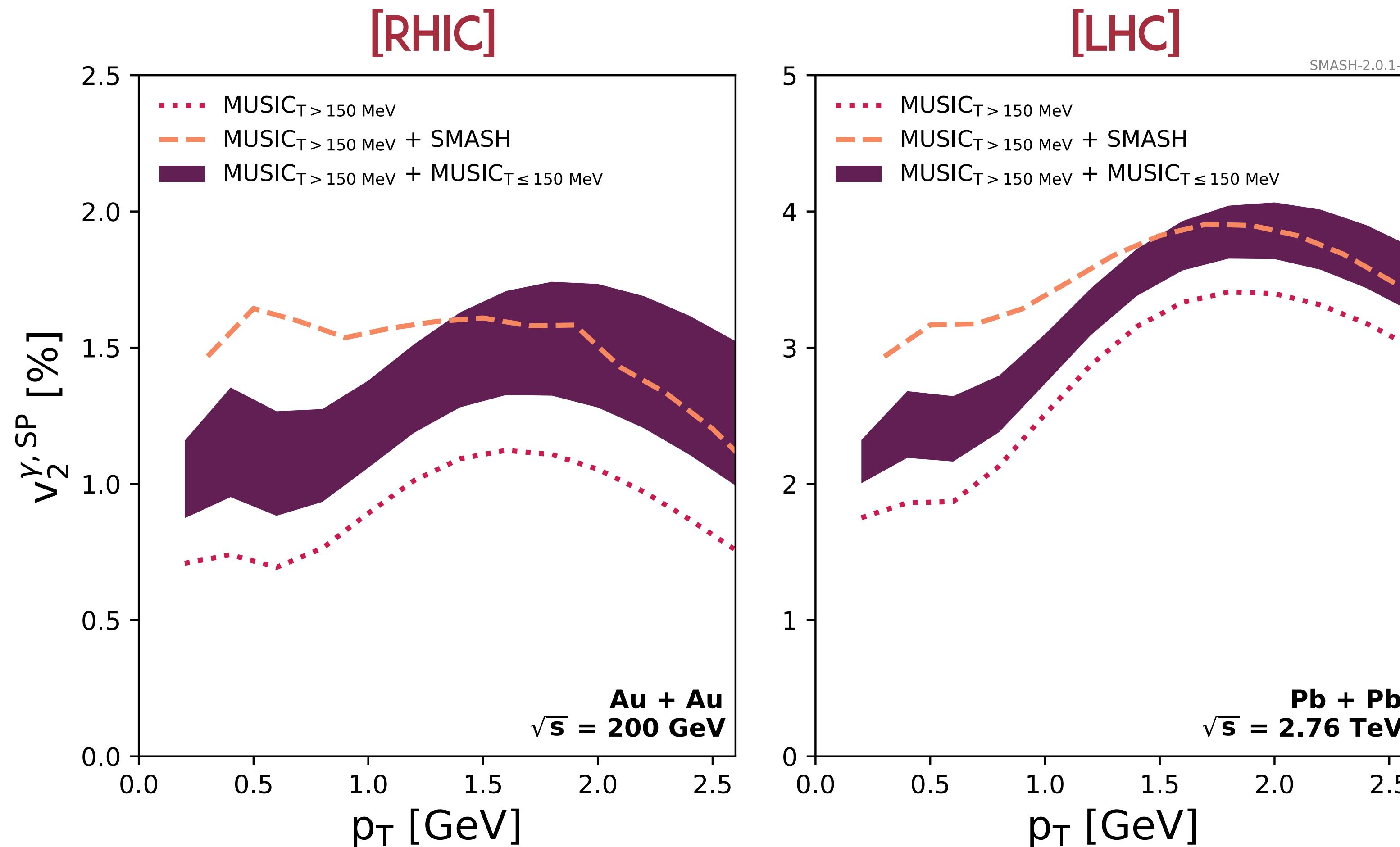
Computed yield and anisotropy of photons

$$v_2(p_\perp) = \frac{\langle p_x^2 - p_y^2 \rangle}{\langle p_\perp^2 \rangle}$$

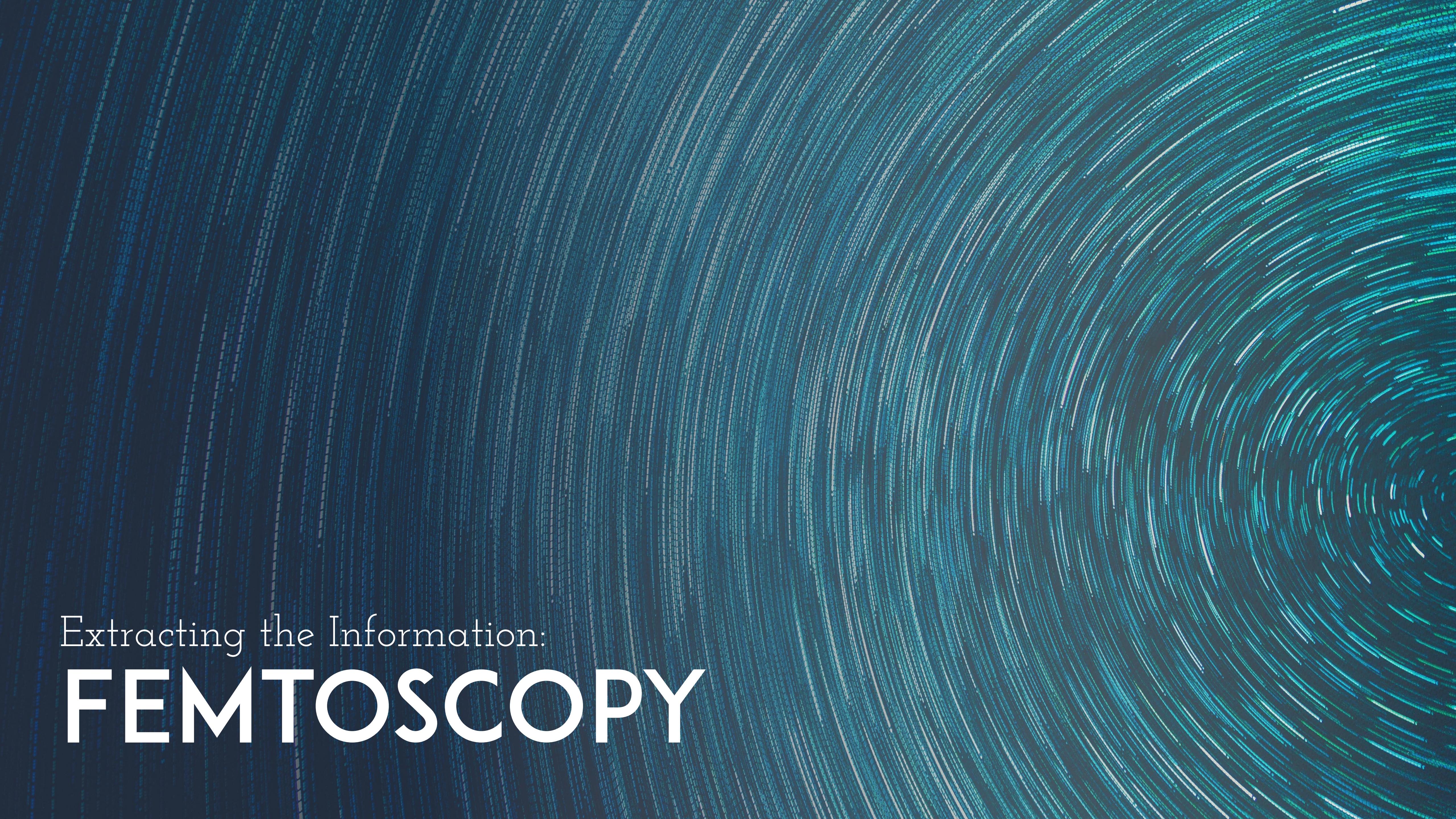
Photon anisotropies are measured relative to the hadronic event plane

**NON-EQUILIBRIUM EFFECTS
ENHANCE PHOTON ANISOTROPIES**

QGP VS. HADRONIC MATTER



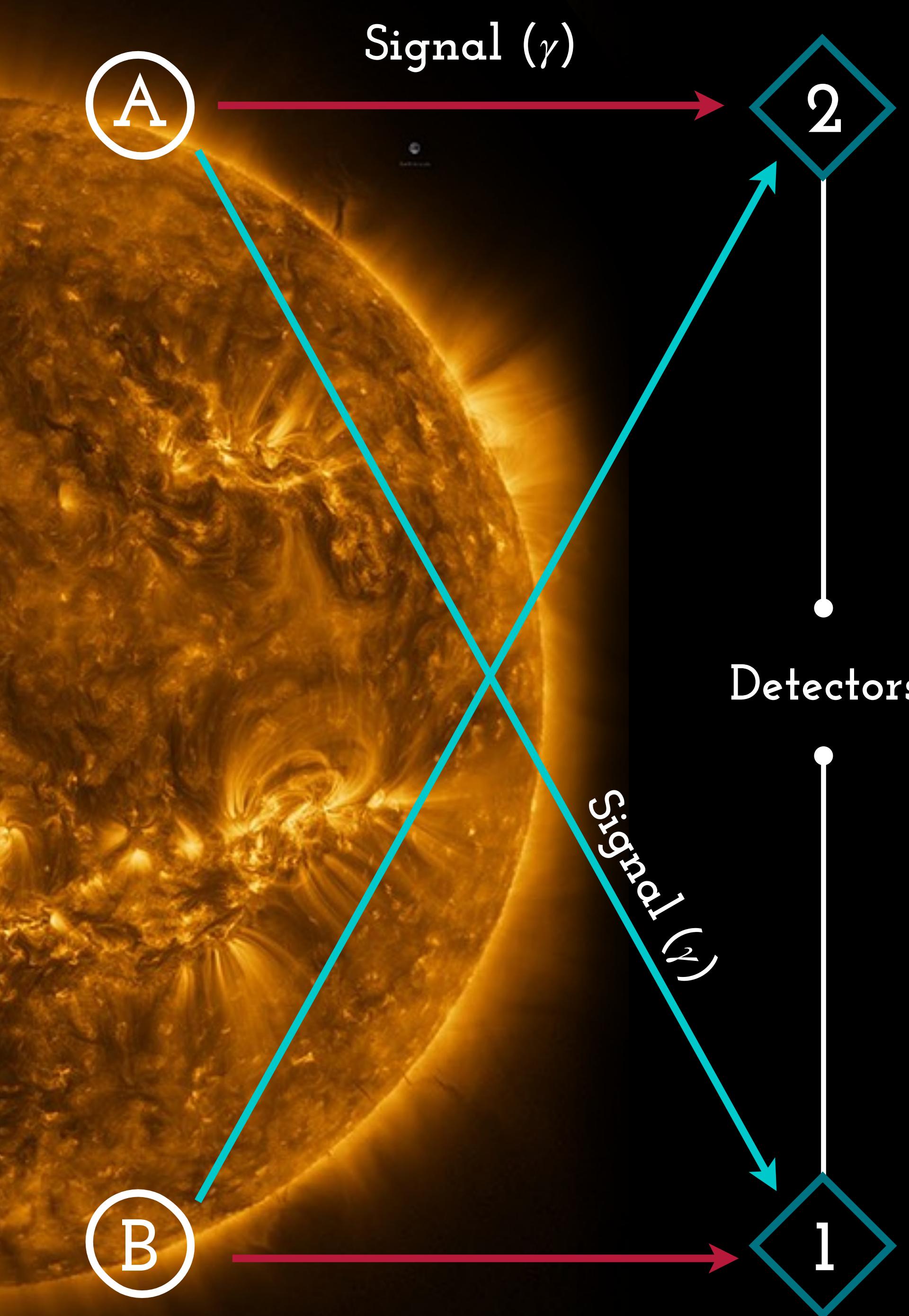
HADRONIC STAGE IS RELEVANT!
NON-EQ. EFFECTS SHOULD BE ACCOUNTED FOR.



Extracting the Information:
FEMTOSCOPY

PHOTON HBT

Hanbury Brown-Twiss Interferometry



- Originally used to measure the size of astronomical light sources

i.e. Cassiopeia A and Cygnus A

- How? $\delta x \delta p \gg 2\pi\hbar$ Photons behave classically
 $\delta x \delta p \lesssim 2\pi\hbar$ Photons behave quantum

- Quantum effects start at

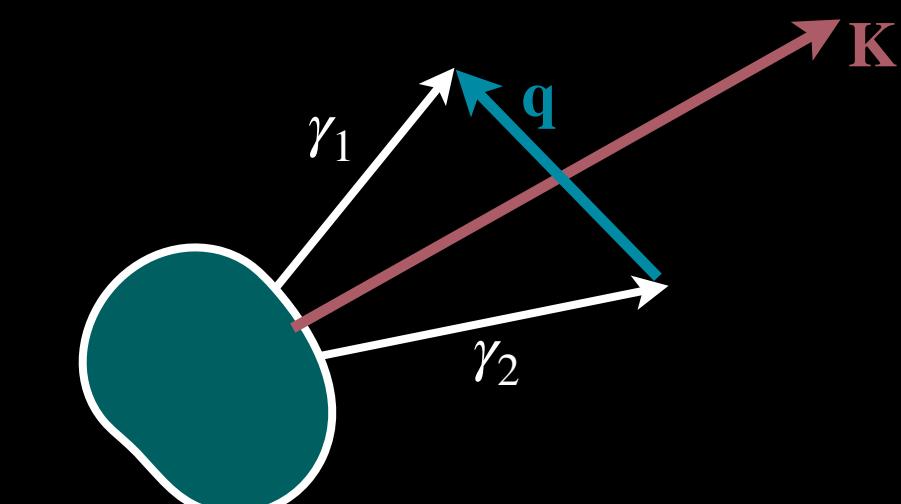
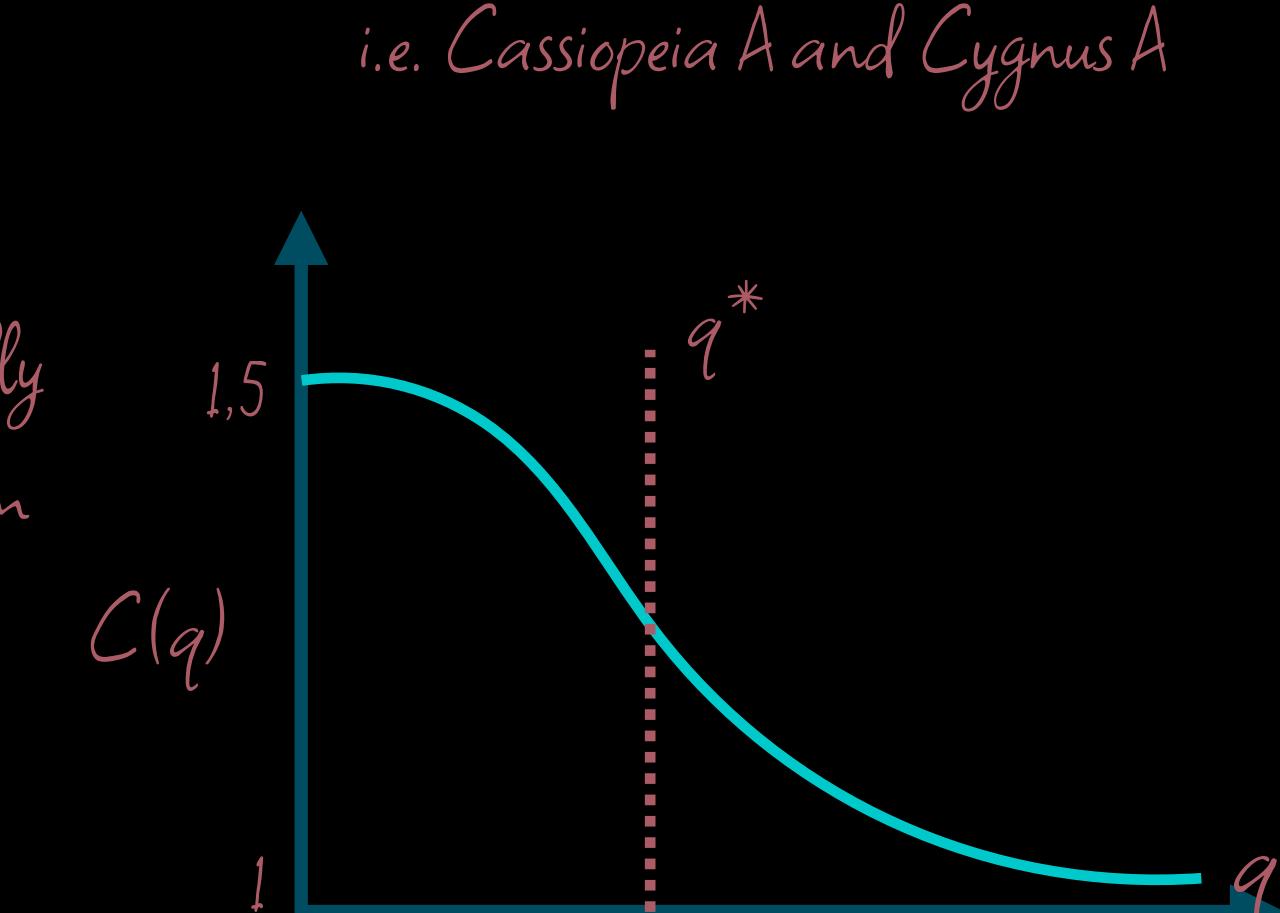
- Pair variables

$$\delta x_{max} \sim 2R$$

$$q^* = \frac{\pi\hbar}{R}$$

$$K^\mu = (K^0, K_\perp, 0, K^z)$$

$$q^\mu = (q^0, q_o, q_s, q_l)$$



A tale of two sources

"Base" Calculation +

Glauber IC's

VISH 2+1 Hydro evolution

Thermal QGP and Hadronic radiation*

Far-from-equilibrium Photons

- Bottom-up-like evolution + matching
- Pre-equilibrium photons are computed using kinetic rates , Phys.Rev. C95 (2017) no.5, 054904

OGM. Annals Phys. 443 (2022) 168984

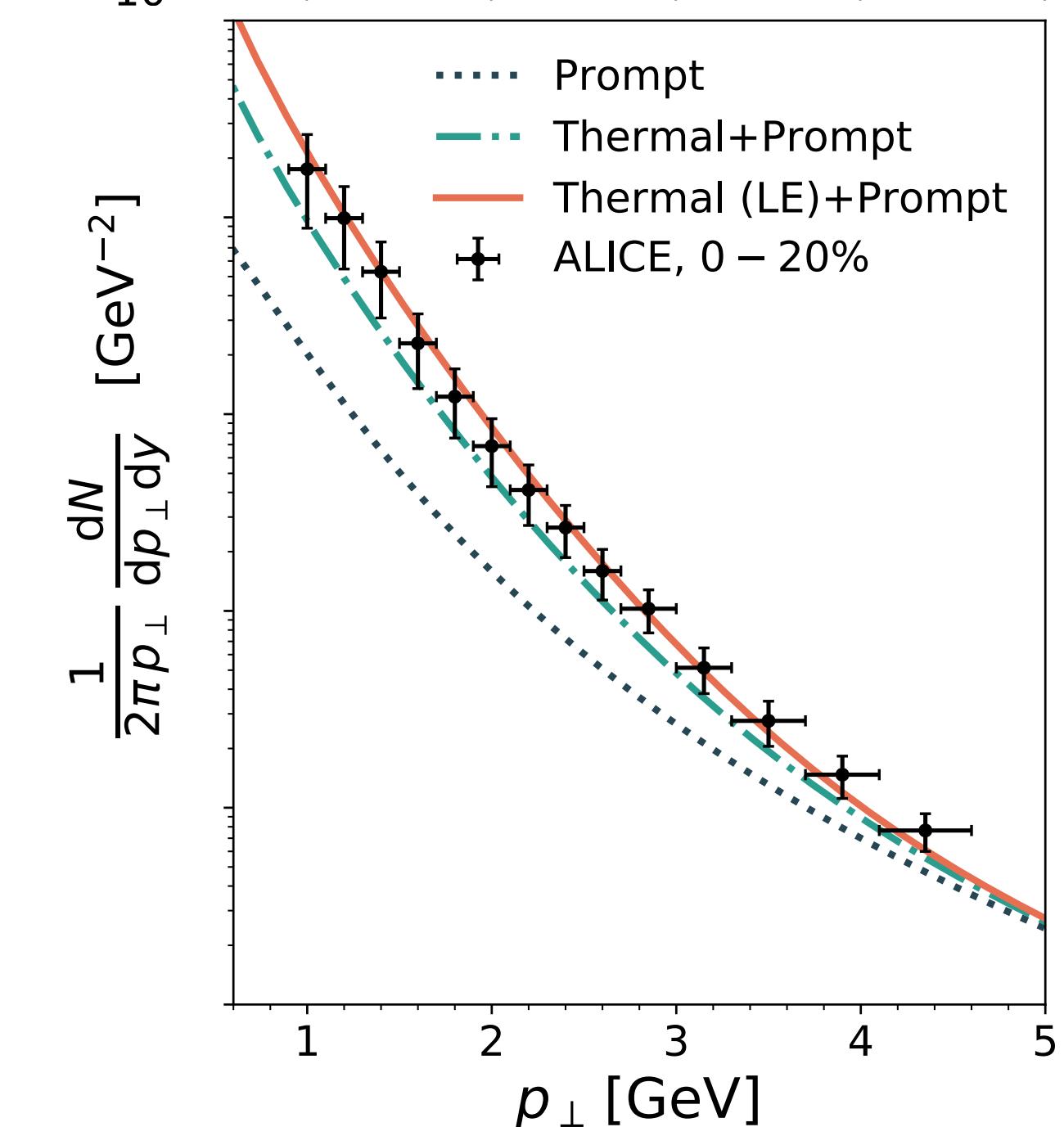
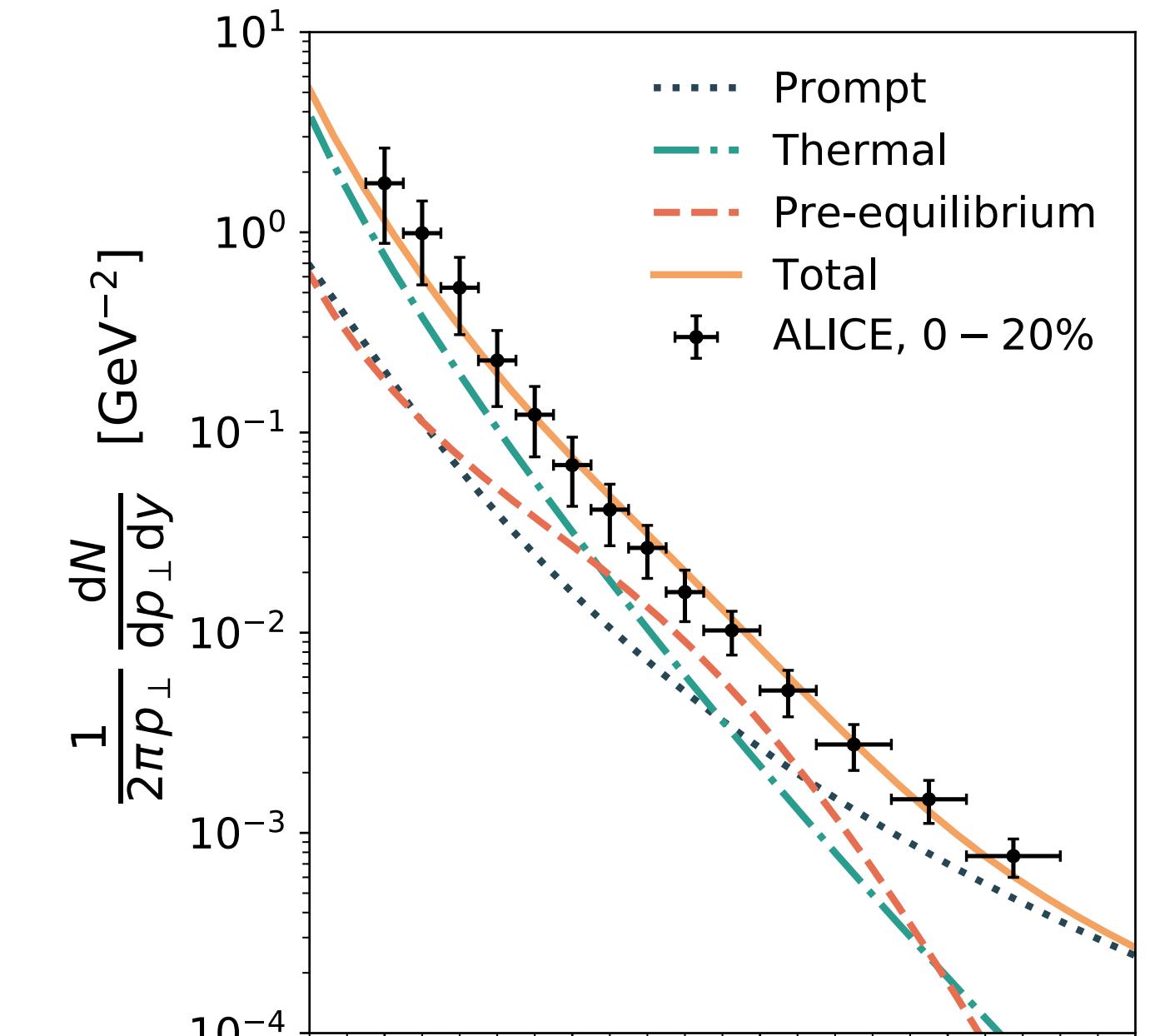
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Pseudo-Critical Enhancement

- Phenomenological model.
- At hadronization, non-perturbative rise in partonic cross-sections (Nucl. Phys. A933, 256 (2015))

$$E \frac{dN_{\text{enh}}}{d^4 X d^3 p} \equiv h(T) E \frac{dN_{\text{thermal}}}{d^4 X d^3 p} \quad \text{and}$$

$$h(T) = 1 + h_0 \exp \left\{ -\frac{(T - T_{pc})^2}{d^2} \right\}$$



*JHEP 12, 009 (2001)

Phys. Rev. C69, 014903 (2004)

Phys. Rev. C91, 027902 (2015)

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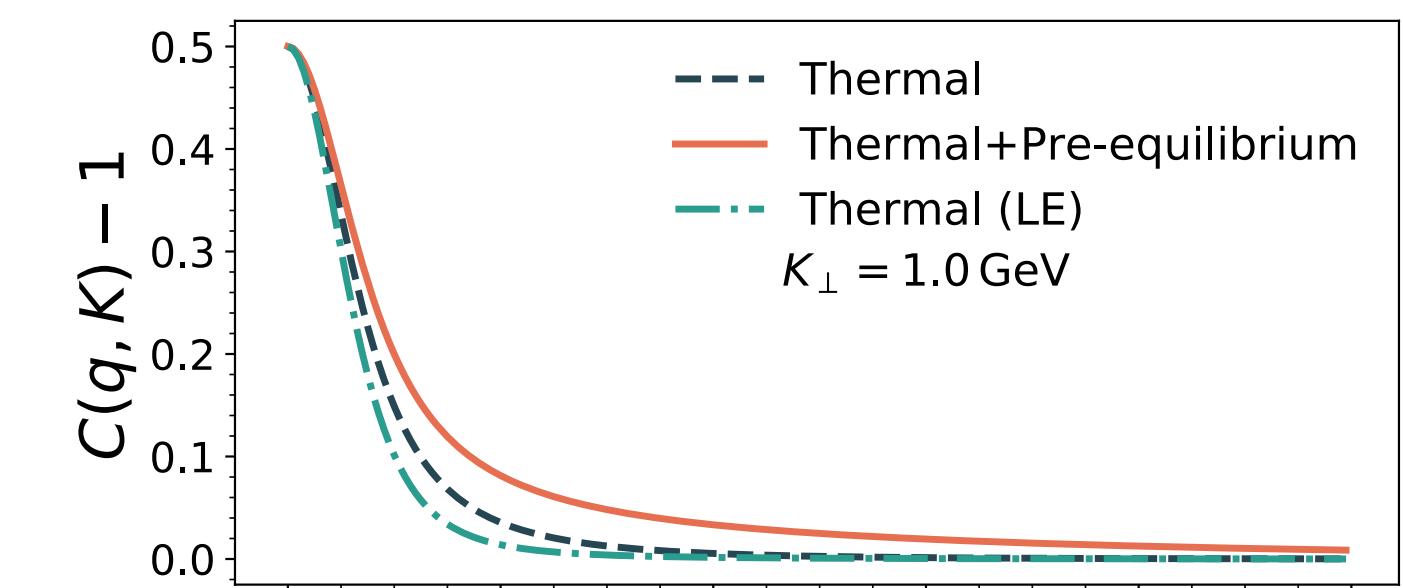
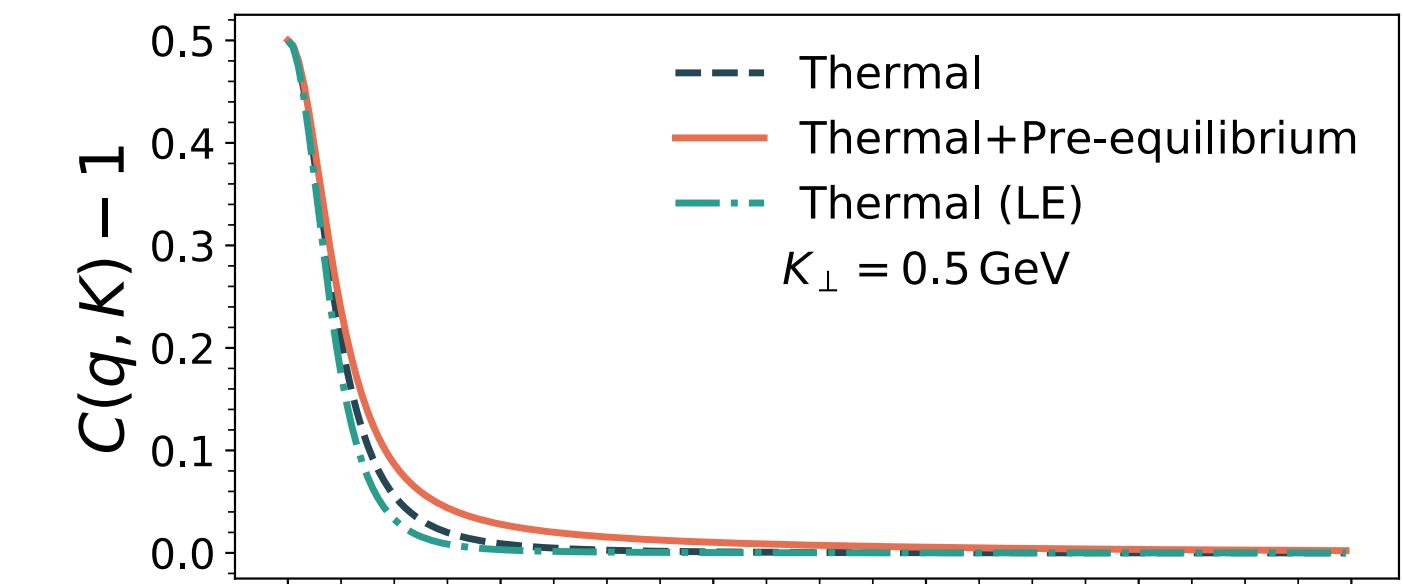
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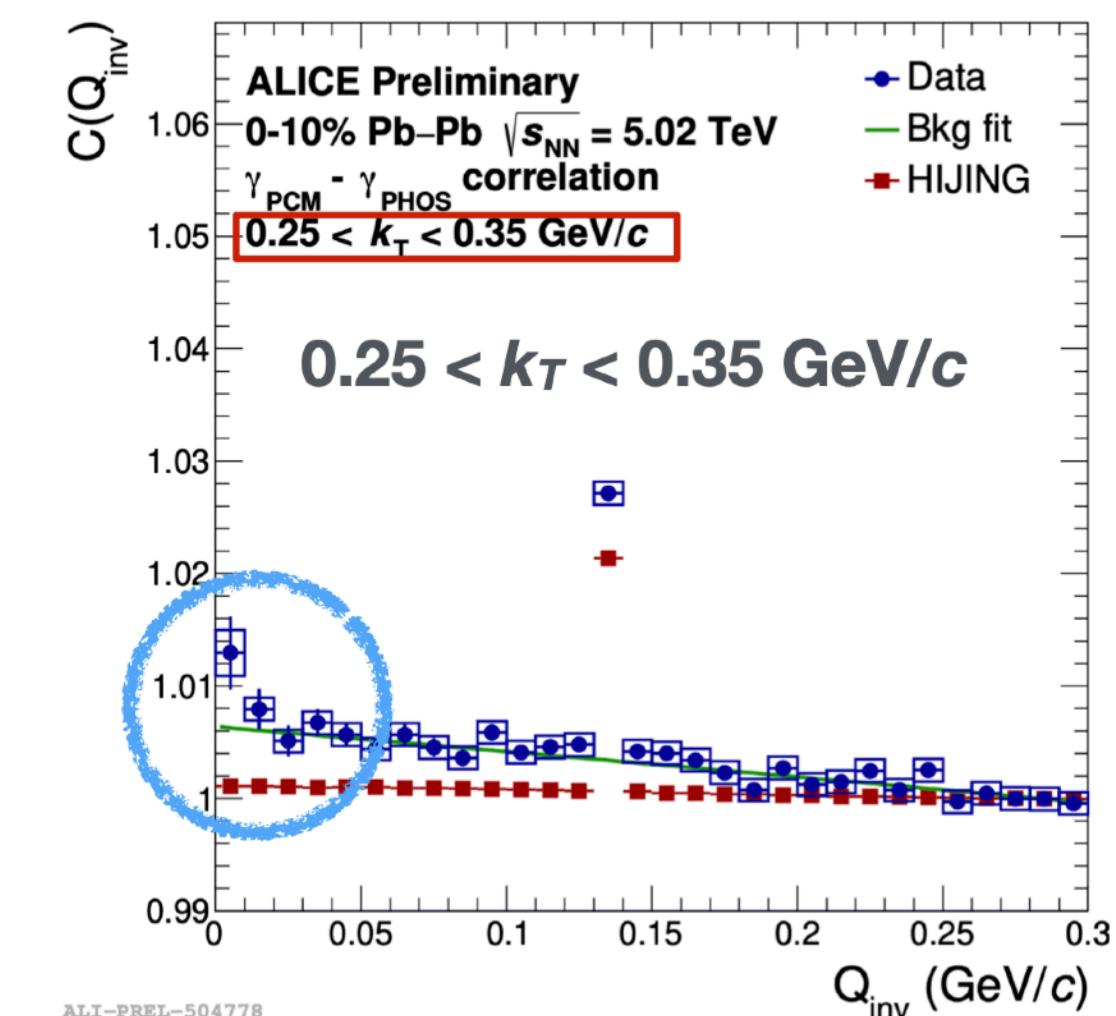
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Comparison still needed ↓ Decays dilute signal!



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 Phys. Rev. C91, 027902 (2015)

The HBT-Radii

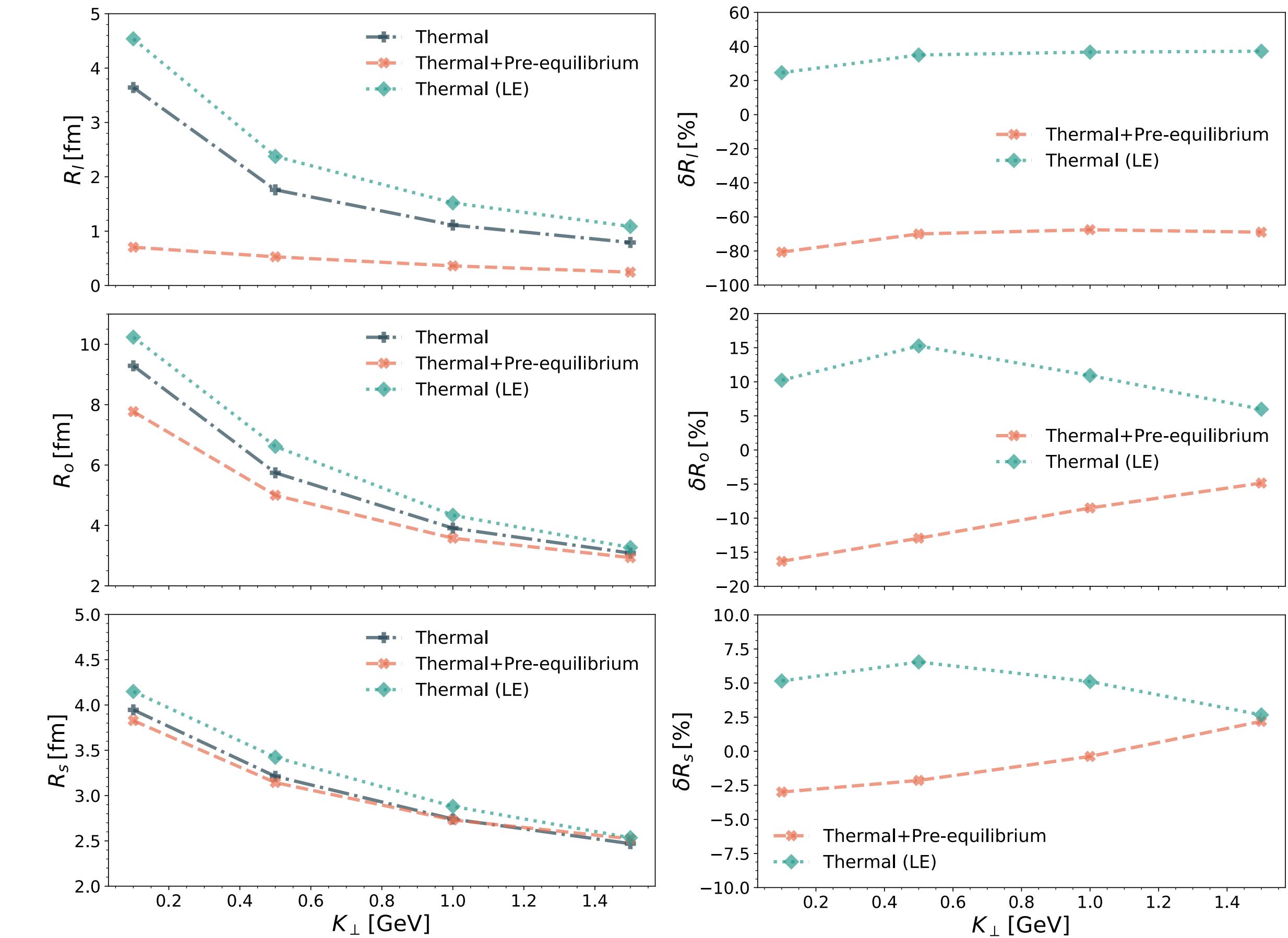
$$\langle\langle q_i q_j \rangle\rangle = \int d^3q q_i q_j g(q; K) \equiv \frac{1}{2} (R^{-1})_{ij}$$

$$g(q; K) \equiv \frac{C(q, K) - 1}{\int d^3q [C(q, K) - 1]}$$

Longitudinal direction affected the most by the inclusion of the sources.

Early-times production reduces effective radii, while late times increase it.

Are these differences enough to measure it?



SUMMARY

- Electromagnetic probes produced throughout space-time evolution of HICs; escape collision unscathed as they do not interact strongly with the QGP
- EM probes are carry sensitive information about the initial and early stages, which we can use to learn about the early evolution of the medium
- Late time non-equilibrium effects are significant for anisotropy generation
- Non-trivial to resolve the discrepancies in the photon observables
- Photon HBT can be the tool we use to cross-compare different models of photon production

