

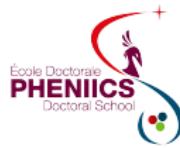
Timelike Compton Scattering with CLAS12 at Jefferson Lab

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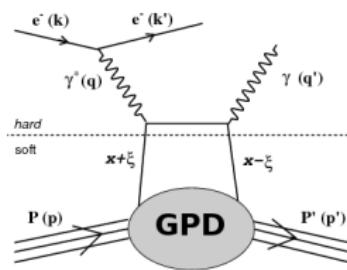


Outline

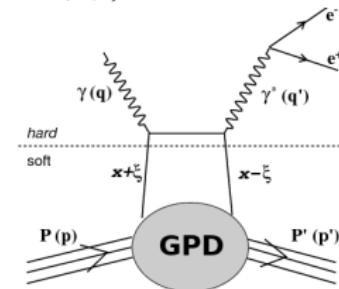
- Current status of the TCS analysis
- Pion/Positron separation above 4.9 GeV: multivariate analysis approach

From Deeply Virtual Compton Scattering to Timelike Compton Scattering

DVCS ($\gamma^* p \rightarrow \gamma p$)



TCS ($\gamma p \rightarrow \gamma^* p$)



Compton Form Factors (CFF)

$$\mathcal{H} = \sum_q e_q^2 \left\{ \mathcal{P} \int_{-1}^1 dx H^q(x, \xi, t) \left[\frac{1}{\xi-x} - \frac{1}{\xi+x} \right] + i\pi [H^q(\xi, \xi, t) - H^q(-\xi, \xi, t)] \right\}$$

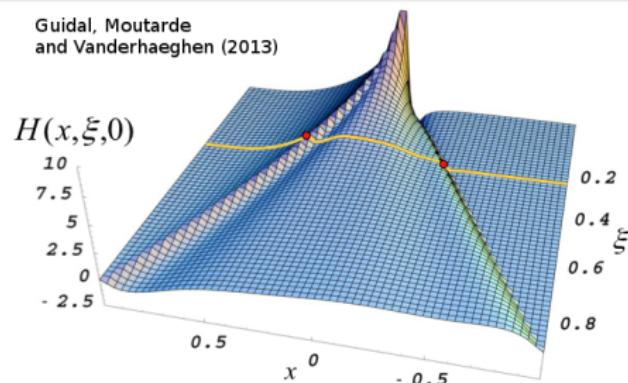
Imaginary part

- Measured in DVCS asymmetries
- Accessible in TCS photon polarization asymmetry

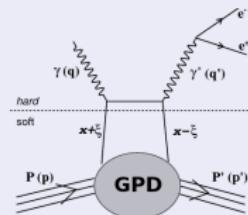
Real part

- Accessible in DVCS cross section
- Accessible in TCS in cross section angular modulation

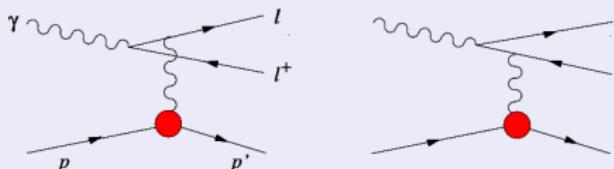
Guidal, Moutarde
and Vanderhaeghen (2013)



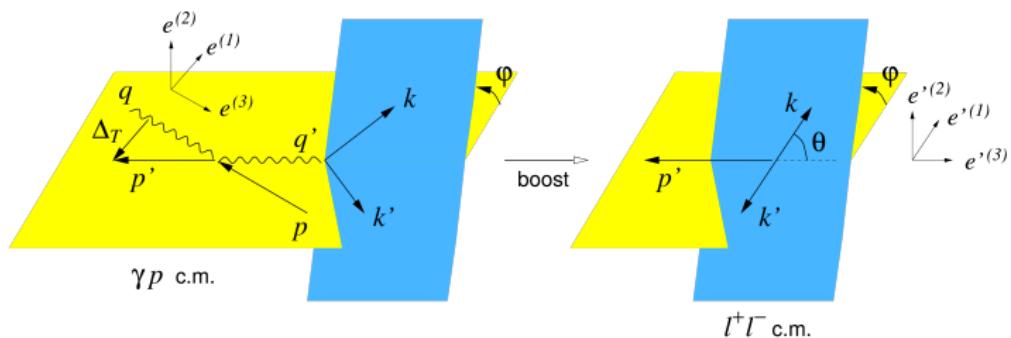
TCS, Bethe-Heitler and some kinematics



TCS



Bethe-Heitler



$$Q'^2 = (k + k')^2 \quad t = (p' - p)^2 \quad L = \frac{(Q'^2 - t)^2 - b^2}{4} \quad L_0 = \frac{Q'^4 \sin^2 \theta}{4}$$

$$b = 2(k - k')(p - p') \quad \tau = \frac{Q'^2}{2p \cdot q} = \frac{Q'^2}{s - M^2} \quad \xi = \frac{\tau}{2 - \tau} \quad s = (p + q)^2 \quad t_0 = -\frac{4\xi^2 M^2}{(1 - \xi^2)}$$

$\gamma p \rightarrow e^+ e^- p$ Cross section and CFFs

Interference cross section

$$\begin{aligned} \frac{d^4\sigma_{INT}}{dQ'^2 dt d\Omega} &= -\frac{\alpha_{em}^3}{4\pi s^2} \frac{1}{-t} \frac{m_p}{Q'} \frac{1}{\tau\sqrt{1-\tau}} \frac{L_0}{L} [\cos(\phi) \frac{1 + \cos^2(\theta)}{\sin(\theta)} \textcolor{red}{Re} \tilde{M}^{--} + \dots] \\ &\rightarrow \tilde{M}^{--} = \frac{2\sqrt{t_0-t}}{M} \frac{1-\xi}{1+\xi} \left[F_1 \mathcal{H} - \xi(F_1 + F_2) \tilde{\mathcal{H}} - \frac{t}{4M^2} F_2 \mathcal{E} \right] \end{aligned}$$

BH cross section

$$\frac{d^4\sigma_{BH}}{dQ'^2 dt d\Omega} \approx -\frac{\alpha_{em}^3}{2\pi s^2} \frac{1}{-t} \frac{1 + \cos^2(\theta)}{\sin^2(\theta)} \left[(F_1^2 - \frac{t}{4M^2} F_2^2) \frac{2}{\tau^2} \frac{\Delta_T^2}{-t} + (F_1 + F_2)^2 \right]$$

BH cross section diverges at $\theta \approx 0^\circ$ and 180°

Weighted cross section ratio

$$R(\sqrt{s}, Q'^2, t) = \frac{\int_0^{2\pi} d\phi \cos(\phi) \frac{dS}{dQ'^2 dt d\phi}}{\int_0^{2\pi} d\phi \frac{dS}{dQ'^2 dt d\phi}} \quad \frac{dS}{dQ'^2 dt d\phi} = \int_{\pi/4}^{3\pi/4} d\theta \frac{L}{L_0} \frac{d\sigma}{dQ'^2 dt d\phi d\theta}$$

Data analysis

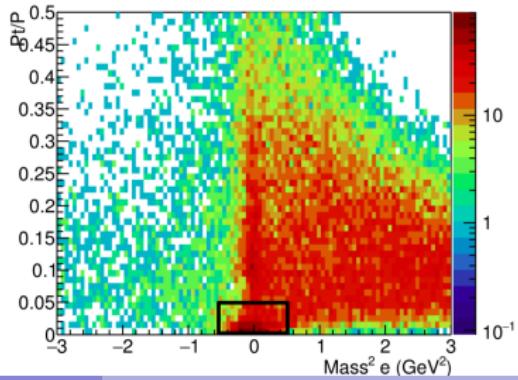
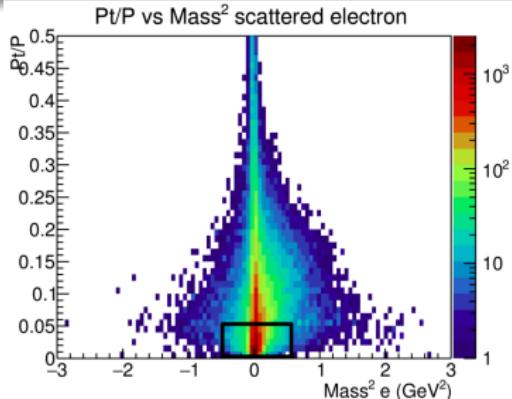


Final state

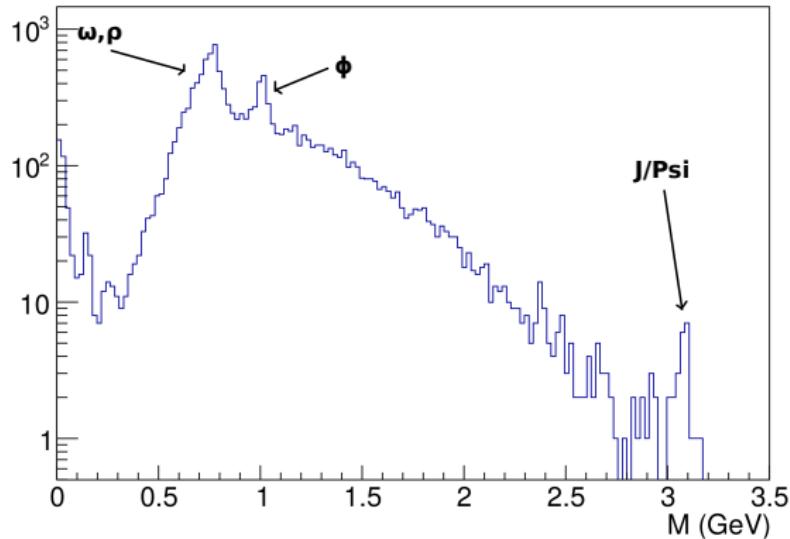
- Use the CLAS12 reconstruction software PID
- Events with exactly one e^+ , one e^- and one proton are selected

Scattered electron

- Cut on scattered electron missing mass
- Cut on missing transverse momentum
- These cuts constrain the virtuality of the photon
 $Q^2 \propto \cos(\Theta_{scattered})$



Lepton-pair spectrum



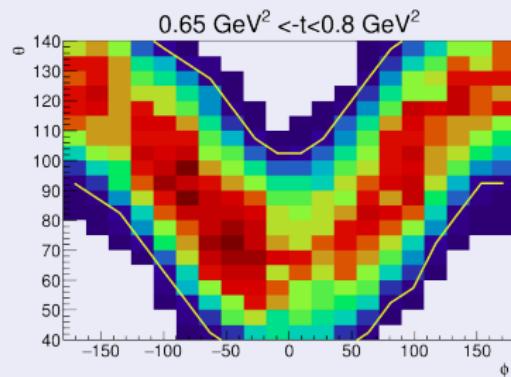
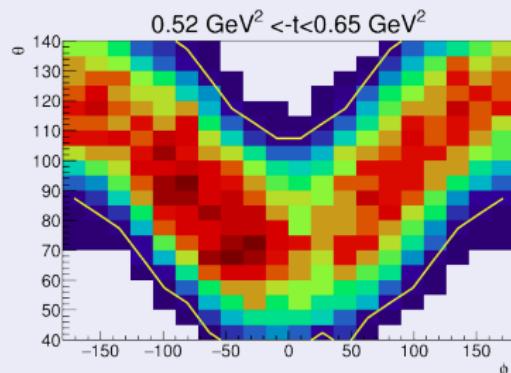
- Whole inbending data set available (64 runs)
- 22 J/Psi (Analysis by J.Newton)
- The mass region between 2 GeV and 3 GeV is resonance-free and will be used for the final analysis. We are investigating the possibility of using data down to 1.5 GeV (Discussion with M.Guidal and M.Vanderhaeghen).

Acceptance estimation

Experimental cross section ϕ modulation ratio

$$R = \frac{\int_0^{2\pi} d\phi \cos(\phi) \frac{dS}{dQ'^2 dt d\phi}}{\int_0^{2\pi} d\phi \frac{dS}{dQ'^2 dt d\phi}} \rightarrow R' = \frac{\sum_{\phi} \cos(\phi) Y_{\phi}}{\sum_{\phi} Y_{\phi}} \text{ where } Y_{\phi} = \sum_{\text{event in } \phi \text{ bin}} \frac{L_0}{A_{\theta}^{\phi}} \frac{1}{\sin(\phi)}$$

Estimate of CLAS12 acceptance with BH simulation

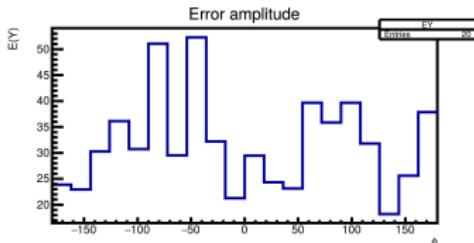
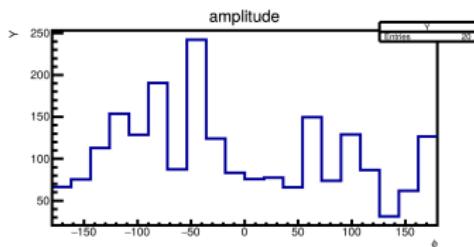


Acceptance in the θ/ϕ plane ($A_{\theta}^{\phi} = \frac{N_{REC}}{N_{GEN}}$)

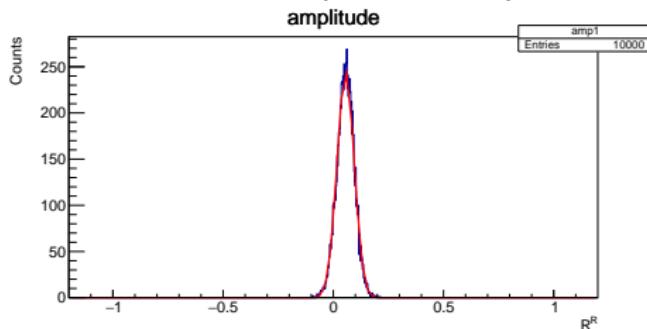
→ Yellow lines are CLAS12 acceptance limits (Limits set at first bin with acceptance higher than 5%)

Statistical error estimation using Monte Carlo

$$R' = \frac{\sum_{\phi} \cos(\phi) Y_{\phi}}{\sum_{\phi} Y_{\phi}} \text{ where } Y_{\phi} = \sum_{\text{event in } \phi \text{ bin}} \frac{L}{L_0} \frac{1}{A_{\theta}^{\phi}} \text{ and } E(Y_{\phi})^2 = \sum_{\text{event in } \phi \text{ bin}} \left(\frac{L}{L_0} \frac{1}{A_{\theta}^{\phi}} \right)^2$$



- For each ϕ bin, a random value Y_{ϕ}^R is generated from a gaussian with mean Y_{ϕ} and sigma $E(Y_{\phi})$
- $R'^R = \frac{\sum_{\phi} \cos(\phi) Y_{\phi}^R}{\sum_{\phi} Y_{\phi}^R}$ is calculated. This process is repeated many times (10000 times)



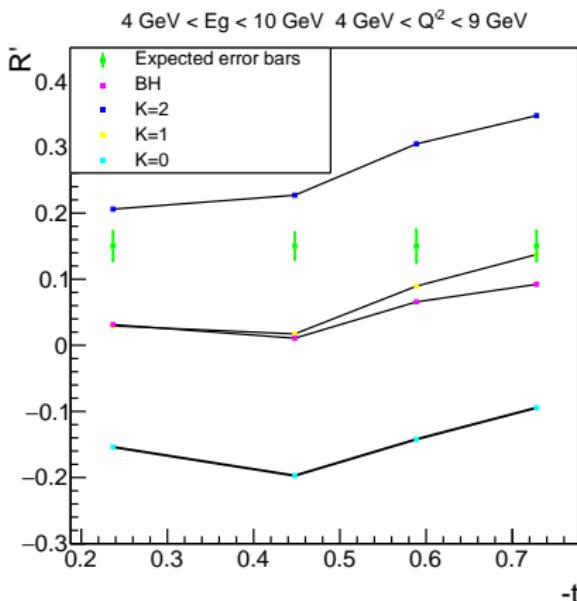
- σ of the gaussian fit is the statistical error

Projected results (2-3 GeV region)

Generator developed by R. Paremuzyan at Jefferson Lab.

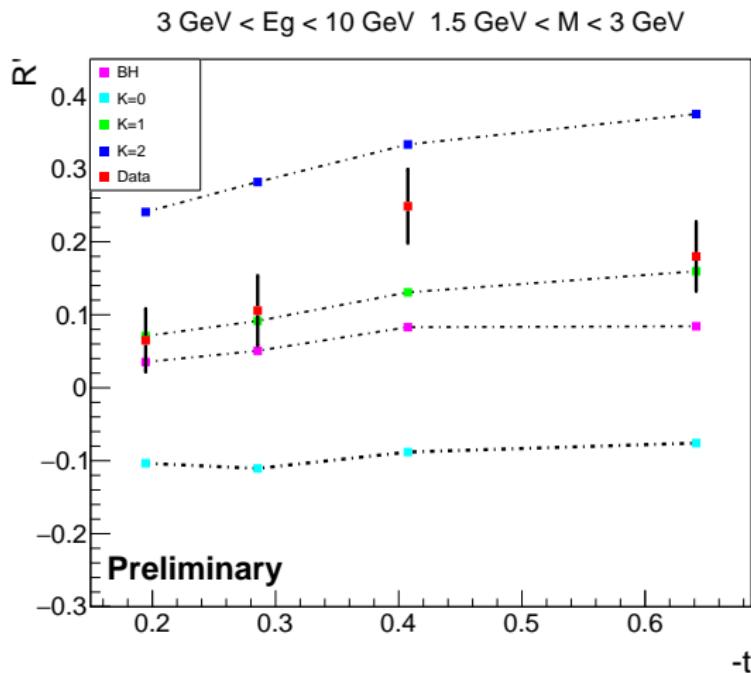
→ Double distribution GPD parametrization

$$H(x, \xi, t) = H_{DD}(x, \xi, t) + \kappa \frac{1}{N_f} \Theta(\xi - |x|) D\left(\frac{x}{\xi}, t\right)$$



- R' is sensitive to D-term strength within CLAS12 acceptance.
- Full data set (≈ 4000 events) will provide enough statistics to give insight on D-term in the 2-3 GeV mass region (green points and associated error bars).

Preliminary results (1.5-3 GeV region)

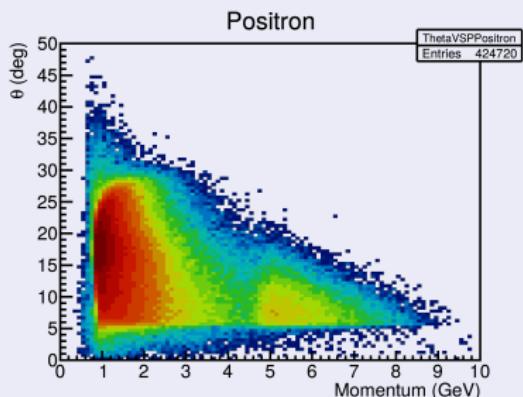


- ≈ 1000 events
- No Fiducial cuts, no further pid cuts yet included (EB only)
- Central efficiency for protons to be corrected using ($ep \rightarrow ep\pi^+\pi^-$) (In progress)

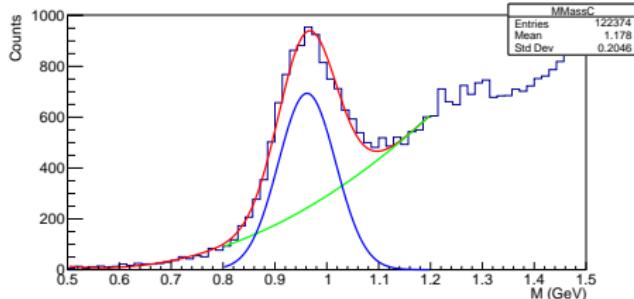
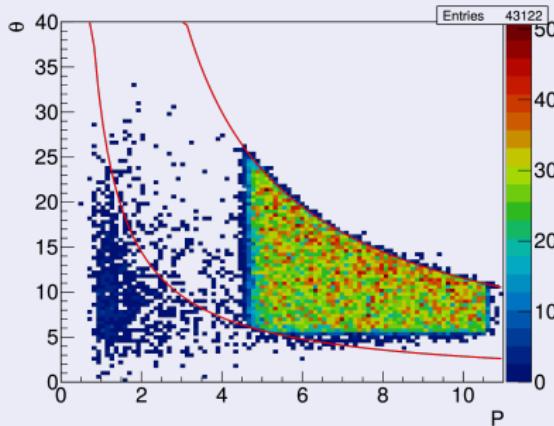
Positron/Pion Separation at high momentum (>4.9 GeV)

Clear Pion contamination in PID -11

Data: clear increase in the number of positron above 4.9 GeV



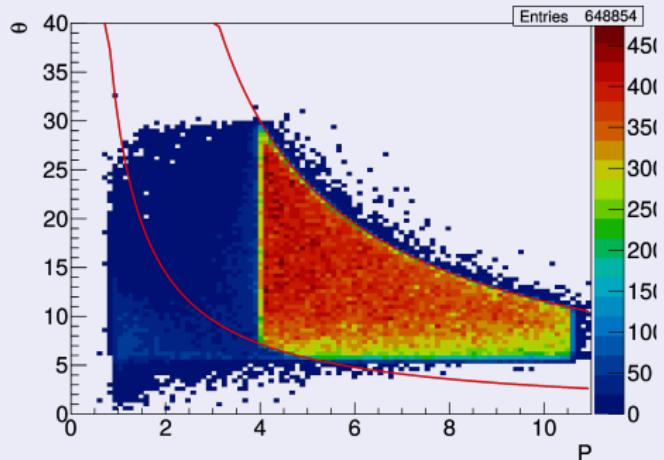
Simu.: mis-identified pions above 4.9 GeV



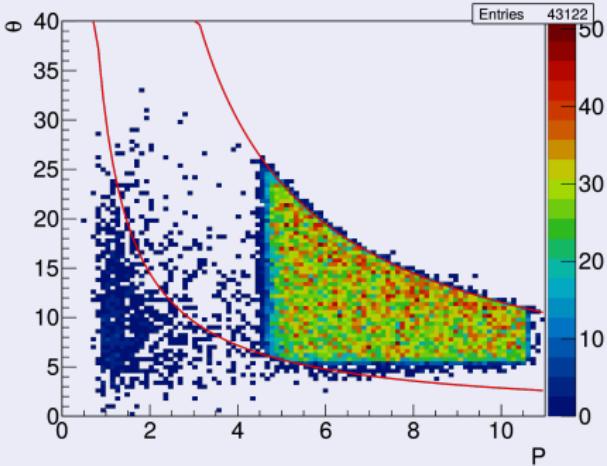
- Skim events with electron in FD and $P < 4.4$ GeV, "positron" (ID -11) in FD and $P > 4.4$ GeV
- Assign m_π to positron, and look for the missing particle $e^- p \rightarrow e^- \pi_{PID -11}^+ X$
- Clear neutron peak

Simulation of e^+ and π^+

Generated e^+ /Reconstructed e^+ :



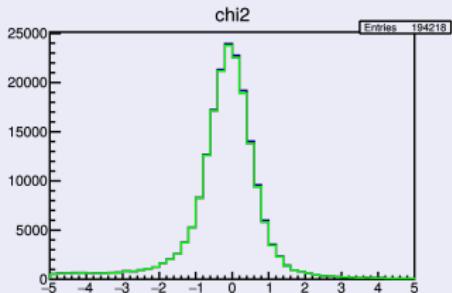
Generated π^+ /reconstructed e^+ :



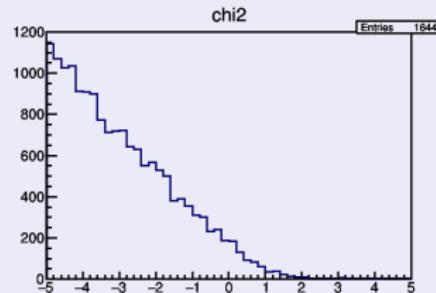
- Momentum between 4 and 10.6 GeV
- P_t between 0.5 and 2 GeV (\approx CLAS12 FD acceptance)

Simple approaches: Chi2 and sampling fractions cuts (from simu.)

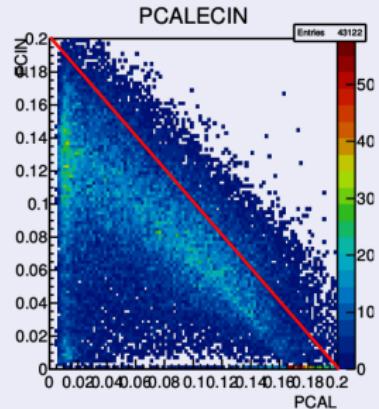
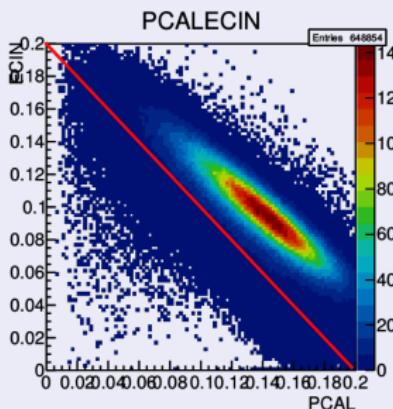
True positron:



Fake positron:



ECIN SF vs PCAL SF



Multivariate analysis approach

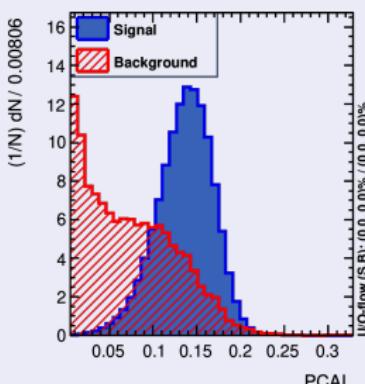
- Positron/Pion separation above HTCC threshold is a typical **multivariate problem** : **sampling fraction** (total, PCAL, ECin, ECout), **shower profile** , **shower skewness** ,...
- Use of the Root/TMVA package <https://root.cern.ch/tmva>

How does it work ?

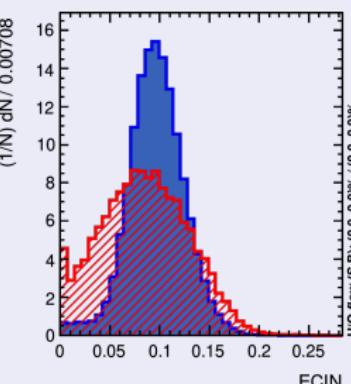
- Give "signal" and "background" trees
- Training and testing of the selected method performed by the package
- "Weights" produced for later applications

TMVA application on Sampling Fraction (from simulation)

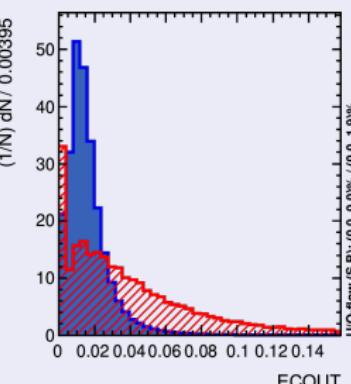
Input variable: PCAL



Input variable: ECIN



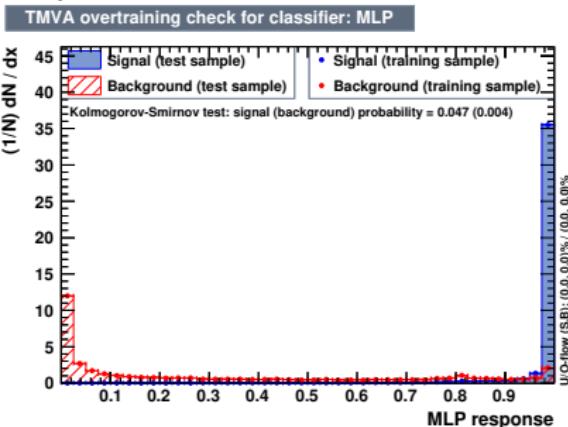
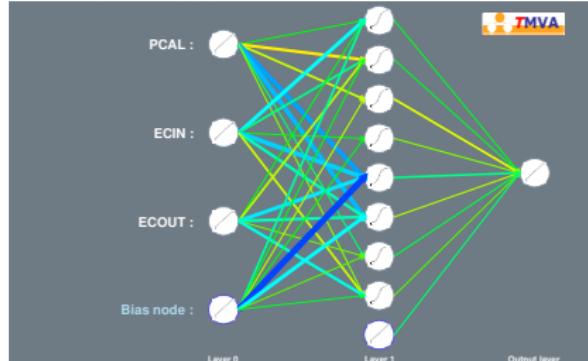
Input variable: ECOUT



One example of MVA: Multilayer perceptron

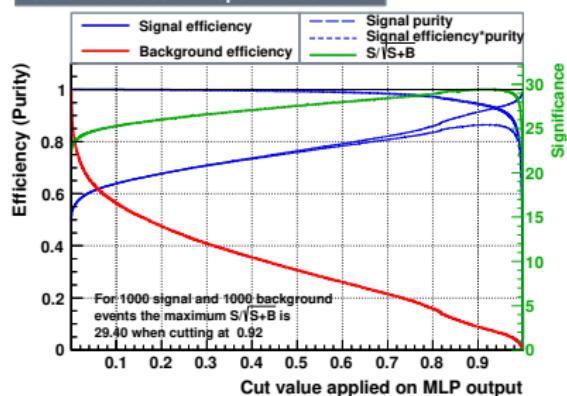
Output

MLP architecture



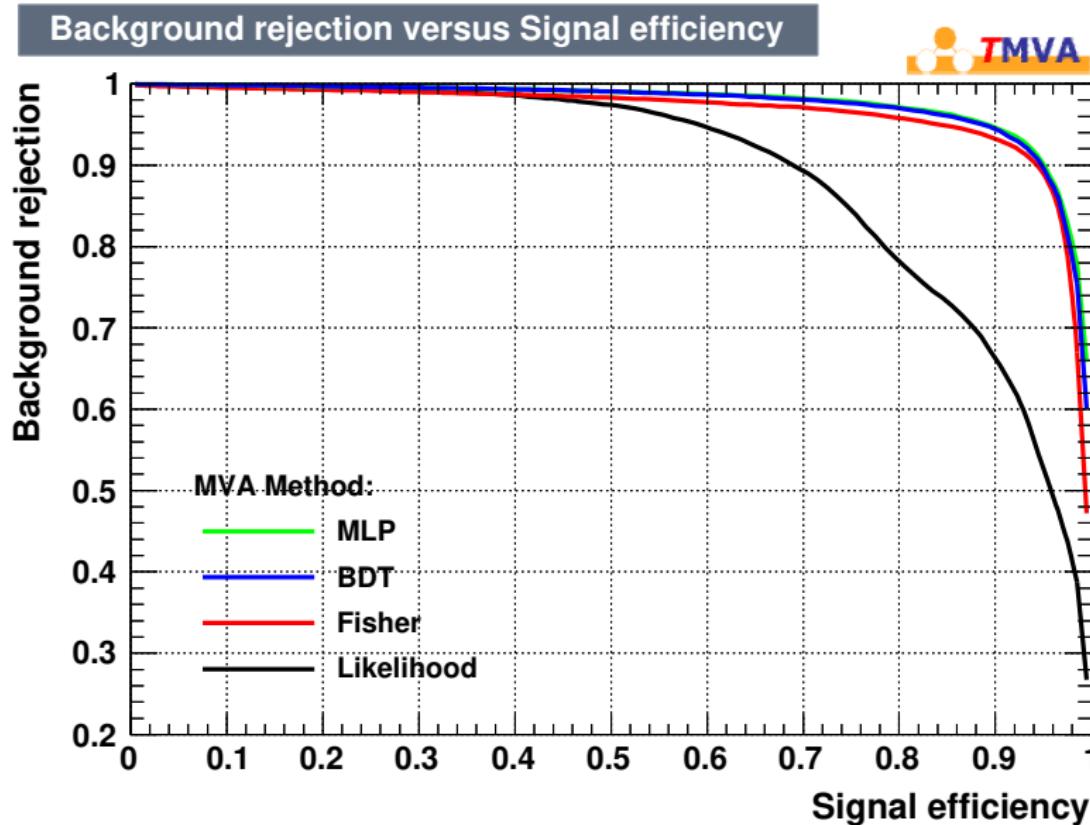
Efficiency

Cut efficiencies and optimal cut value



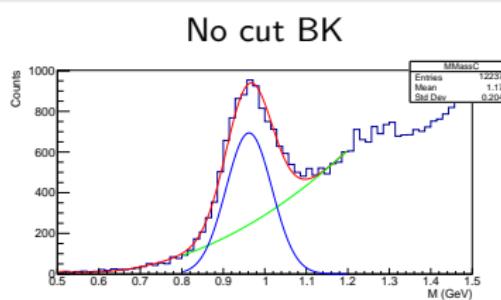
- Plots provided by TMVA package
- Assess efficiency of method and gives best value for cut

Comparison of different methods on simulation: ROC curve

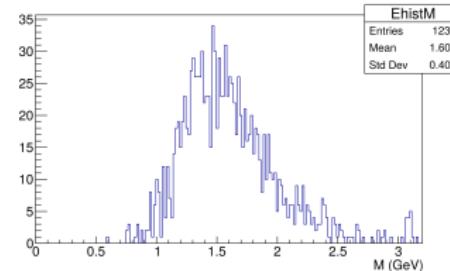


Comparison of different methods on data

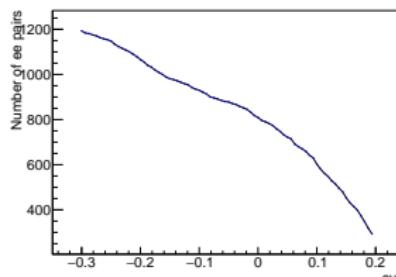
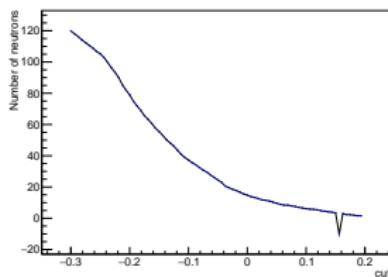
- $e^- p \rightarrow e^- \pi_{PID}^+ X$ provides good estimation of mis-identified pion ("background")
- "Signal+Background" → number of lepton pair photoproduction events with $P_{e^+} > 4$ GeV (TCS exclusivity cuts).
- For each selected method measure "signal" and "background" for multiple values of cut → Plot "signal+background" strength VS "background" strength (\approx ROC curve).



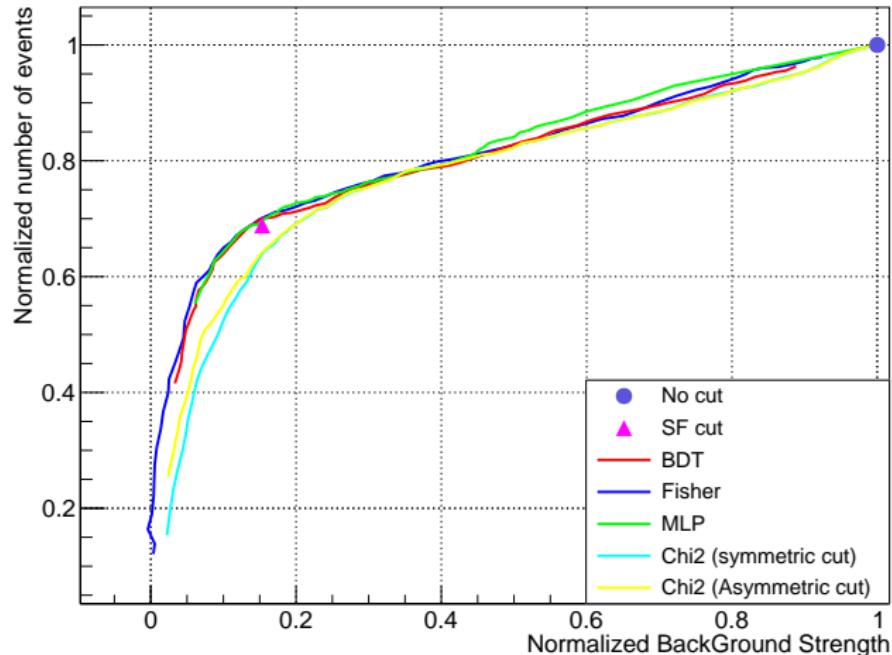
No cut lepton pairs



BDT cut



3D VS 1D/2D Positron/Pion separation



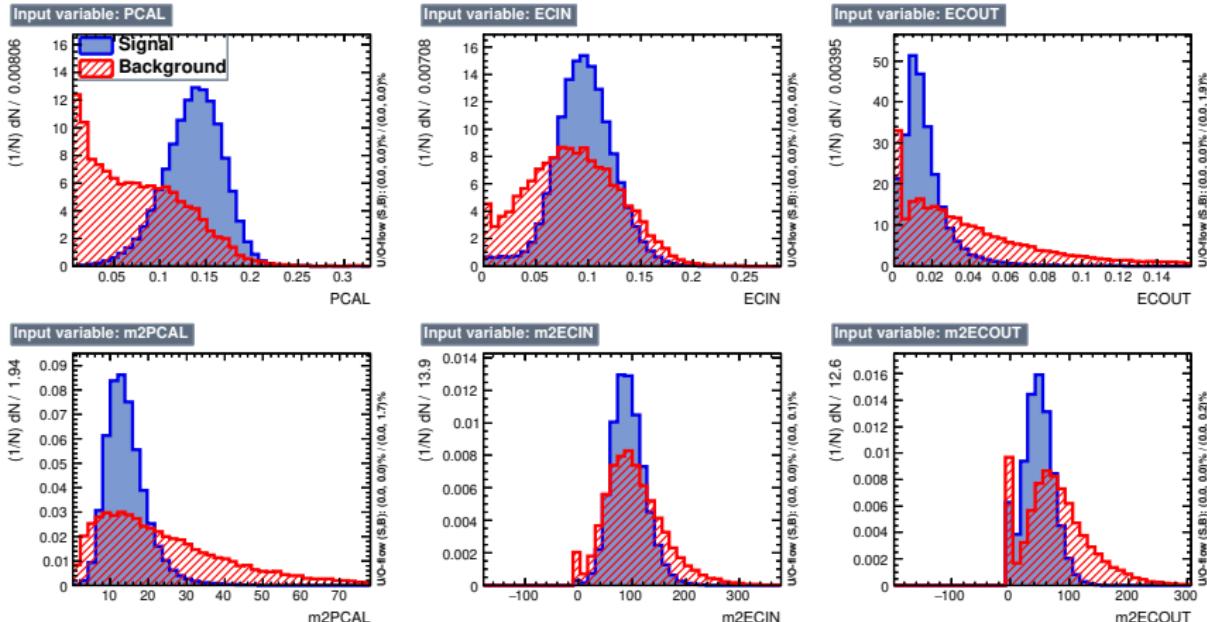
- Chi2 is not optimal.
- Common Linear behaviour at high Background strength: validation of the procedure
- Cut on the ECINsf/PCALsf is compatible with multivariate methods although less flexible.

6D Positron/Pion separation

Shower width M^2

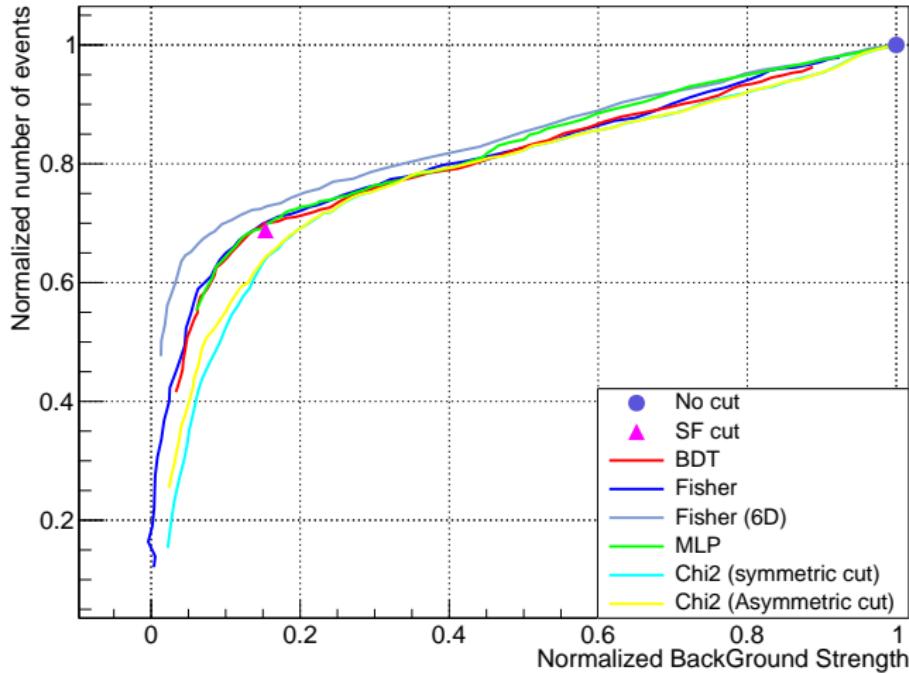
$$D = \frac{\sum_{\text{strip}} x \cdot \ln(E)}{\sum_{\text{strip}} \ln(E)}$$

$$M_2 = \frac{\sum_{\text{strip}} (x - D)^2 \cdot \ln(E)}{\sum_{\text{strip}} \ln(E)}$$



From simulation

6D Positron/Pion separation



Adding the shower profile to the discriminating variables reduces contamination by a factor of ≈ 2

Conclusion

TCS analysis

- Timelike Compton Scattering allows to investigate the real part of CFFs.
- Projected statistic will allow insight on the strength of the D-term.
- The analysis procedure leading to R' is fully
- Extension of the mass range down to 1.5 GeV being investigated; developed.

Positron/Pion Separation

- Contamination of Pion in PID -11 is important
- MVA tools applied to this issue leads to good reduction of background.
- These results will be added to the TCS analysis code soon.

Back up

Physics Motivations

- The CFFs dispersion relation at leading-order and leading twist :

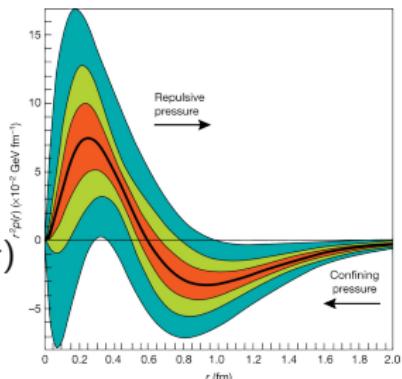
$$Re\mathcal{H}(\xi, t) = \mathcal{P} \int_{-1}^1 dx \left(\frac{1}{\xi - x} - \frac{1}{\xi + x} \right) Im\mathcal{H}(x, t) + D(t)$$

- D-term expansion

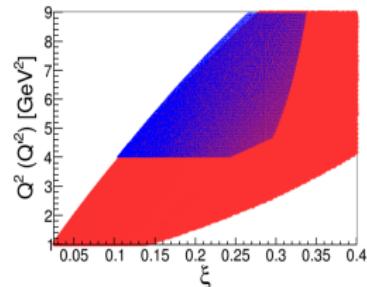
$$D(t) = \frac{1}{2} \int_{-1}^1 dz \frac{D(z, t)}{1 - z}$$

$$D(z, t) = (1 - z^2)[d_1(t)C_1^{3/2}(z) + \dots]$$

- $d_1(t)$ is directly related to the pressure distribution in the nucleon.
- Measurement of photon polarization asymmetry will provide a test of universality of GPDs.



Nature (2018) Burkert, Elouadrhiri, Girod



DVCS phase space
TCS phase space

Boér, Guidal, Vanderhaeghen (2015)

Projected results

- R' is sensitive to D-term strength **BUT** also depends on acceptance limits → difficulties to compare measurement with theoretical models
- Possibility to restore θ dependence of the interference cross-section

We want to access the ϕ moment of the cross section. We can measure :

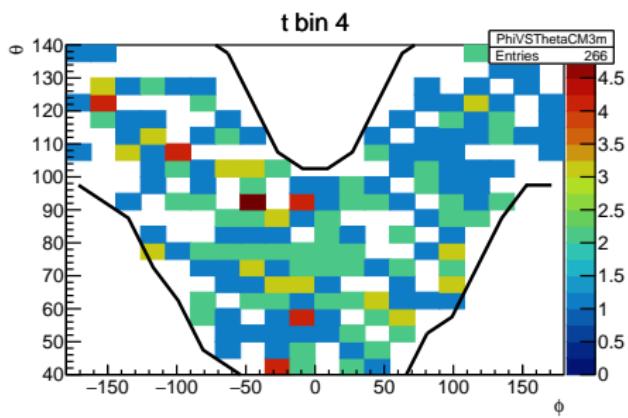
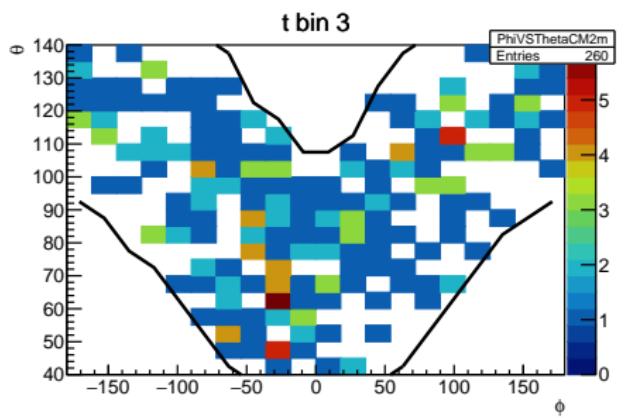
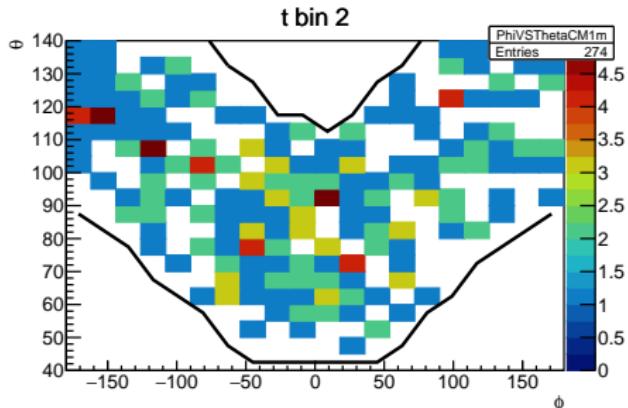
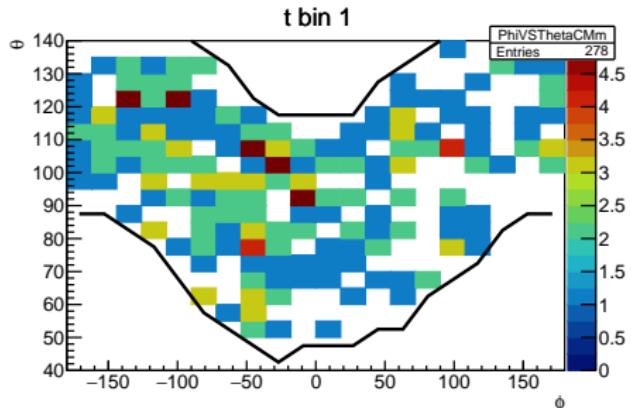
$$\frac{dS_{TOT}}{dQ'^2 dt d\phi} = \int_{b(\phi)}^{a(\phi)} d\theta \frac{d^4 \sigma_{TOT}}{dQ'^2 dt d\Omega} \frac{L}{L_0} = \frac{dS_{BH}}{dQ'^2 dt d\phi} + \frac{dS_{INT}}{dQ'^2 dt d\phi}$$

- $\frac{dS_{BH}}{dQ'^2 dt d\phi}$ is calculable from form factors.
- The θ/ϕ dependance of the interference term is fully known :

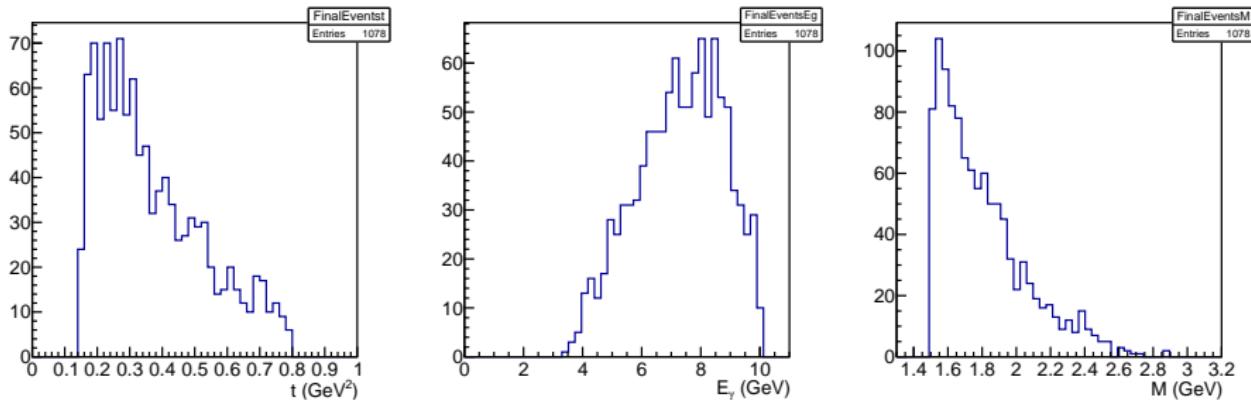
$$\frac{dS_{INT}}{dQ'^2 dt d\phi} = -\frac{\alpha_{em}^3}{4\pi s^2} \frac{1}{-t} \frac{m_p}{Q'} \frac{1}{\tau \sqrt{1-\tau}} [\cos(\phi) \int_{b(\phi)}^{a(\phi)} (1 + \cos^2(\theta)) d\theta \cdot \text{Re } \tilde{M}^{--} + \dots]$$

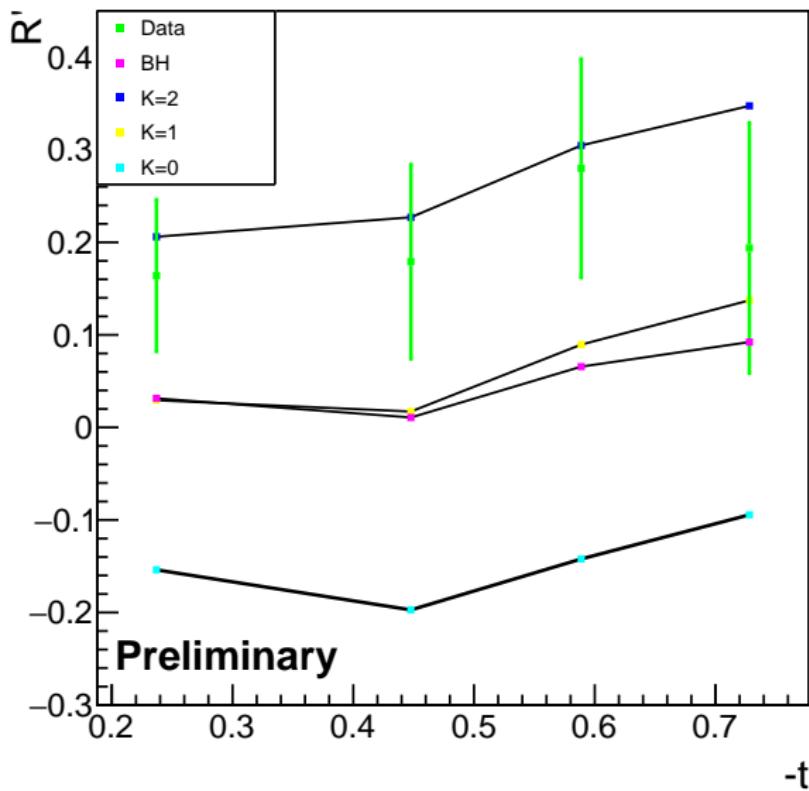
This method will be implemented at a later stage of the analysis, as it requires good accumulated luminosity estimation.

1.5 - 3 GeV event kinematics (1)

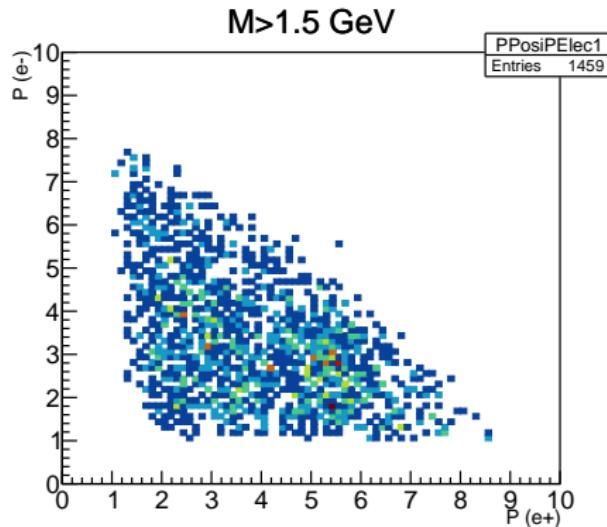
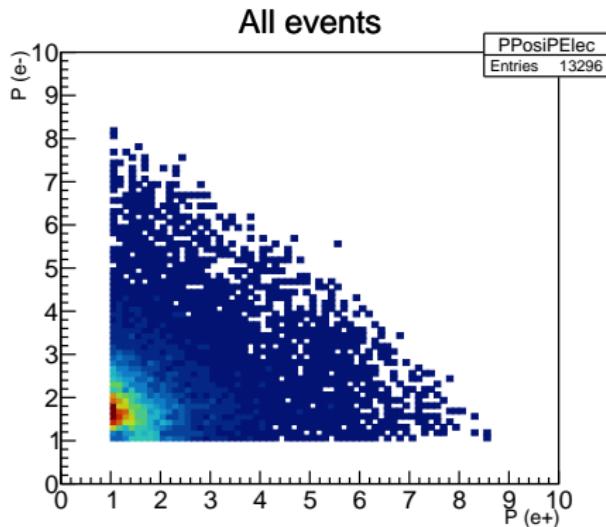


1.5 - 3 GeV event kinematics (2)



$4 \text{ GeV} < E_g < 10 \text{ GeV}$ $4 \text{ GeV} < Q^2 < 9 \text{ GeV}$ 

Lepton Pair momentum



Mis-ID Pion

