

New Horizons for Strong QCD Theory in the 12 GeV era at Jefferson Lab

Strong QCD from Hadron Structure Experiments

*Jefferson Lab, Newport News, VA
6-9 November 2019*

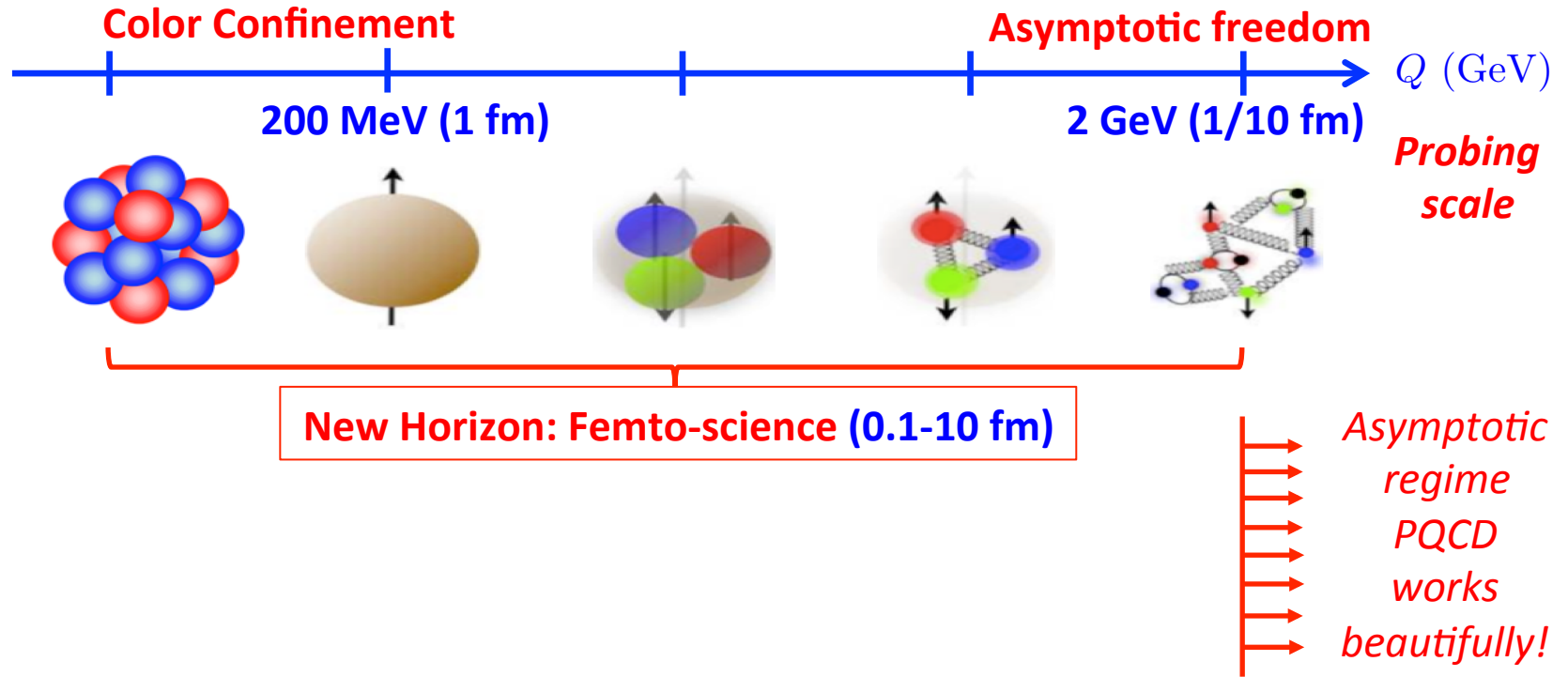


- QCD at Fermi scale
- “See” hadron structure
- CEBAF 12 GeV upgrade
- Science & Capabilities
 - Initial excitements
 - Future opportunities
 - JLab12 to EIC
 - Summary

*Jianwei Qiu
Theory Center*

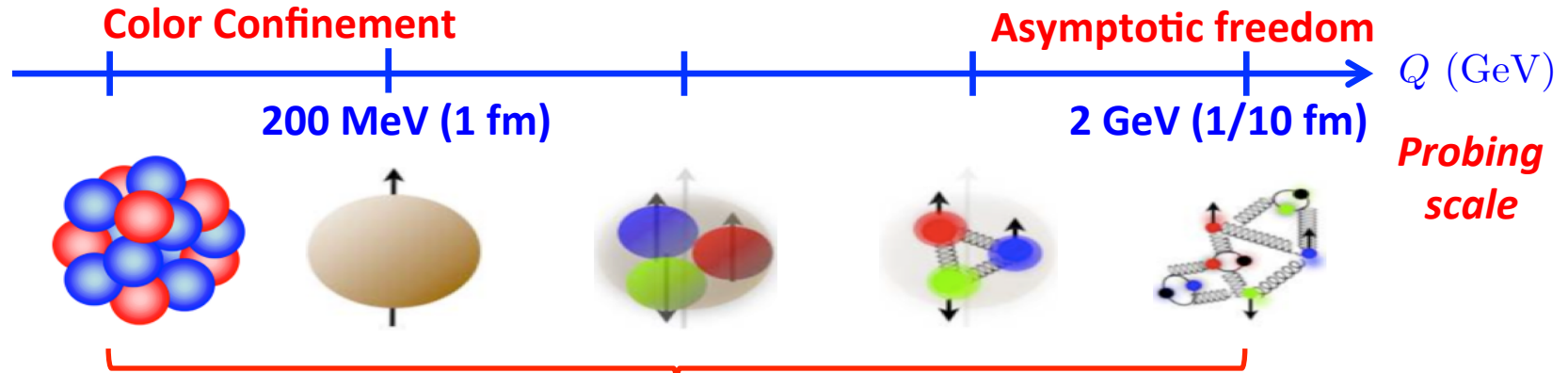
QCD at Fermi Scale

- QCD landscape of nucleon and nuclei – Strong QCD!



QCD at Fermi Scale

- QCD landscape of nucleon and nuclei – Strong QCD!



Strong QCD – QCD at the Fermi scale
is the most interesting, rich, and complex,
but mysterious and challenging regime of the theory!

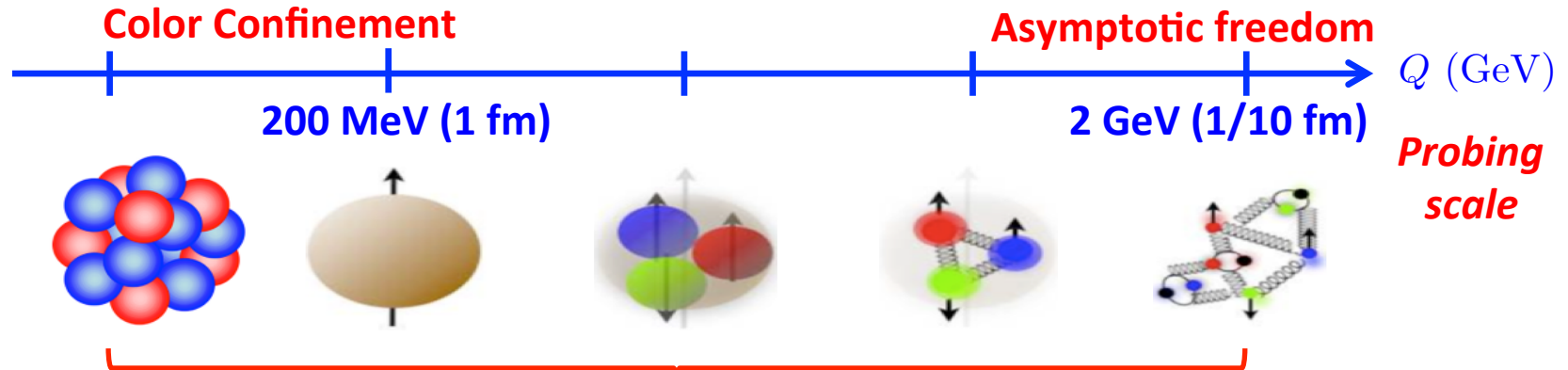
Asymptotic
regime
PQCD
works
beautifully!

We do not see quarks and gluons in isolation!

All emergent phenomena depend on the probes
and the scale at which we probe them!

QCD at Fermi Scale

- QCD landscape of nucleon and nuclei – Strong QCD!



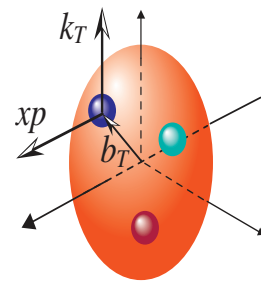
New Horizon: Femto-science (0.1-10 fm)

Strong QCD – QCD at the Fermi scale is the most interesting, rich, and complex, but mysterious and challenging regime of the theory!

We do not see quarks and gluons in isolation!

All emergent phenomena depend on the probes and the scale at which we probe them!

Asymptotic regime
PQCD works beautifully!

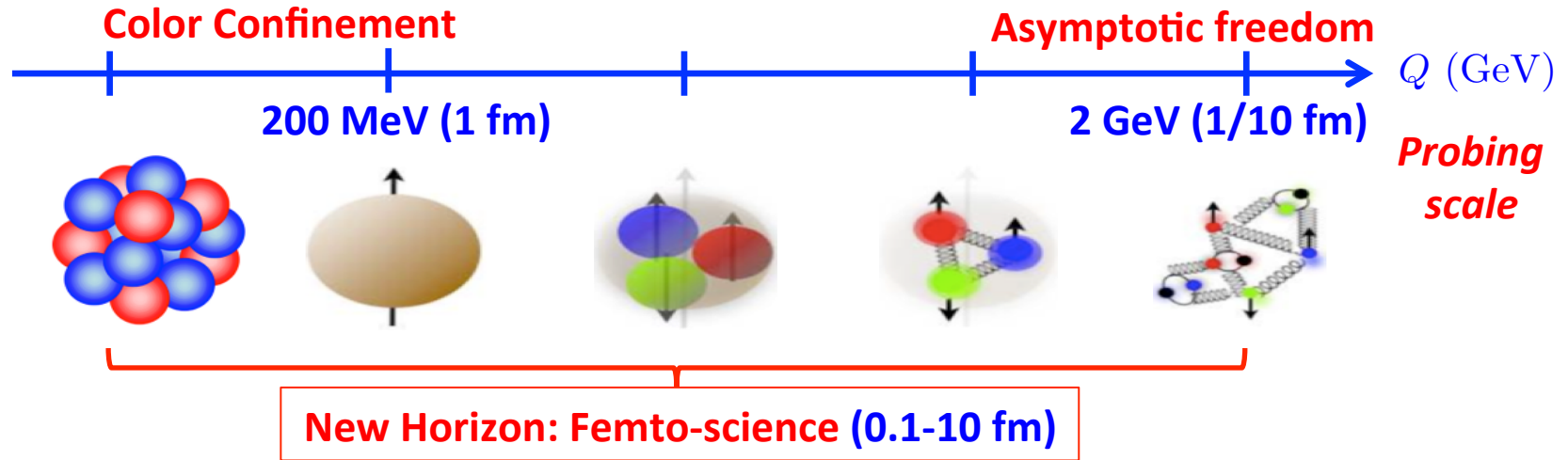


- My talk:

Explore the QCD landscape of nucleon and nuclei by using controllable, shape, local probes, but, “moving or scanning” them throughout the regime!

QCD at Fermi Scale

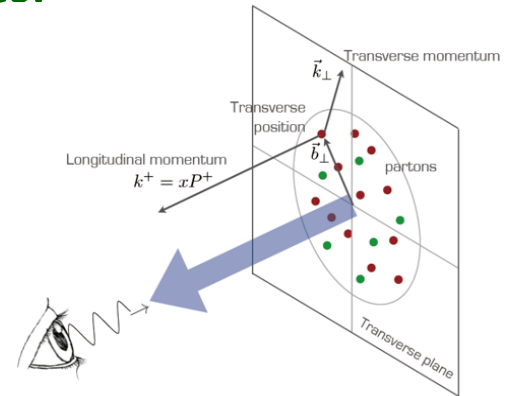
- QCD landscape of nucleon and nuclei – Strong QCD!



- Need to identify observables with **two-momentum scales**:

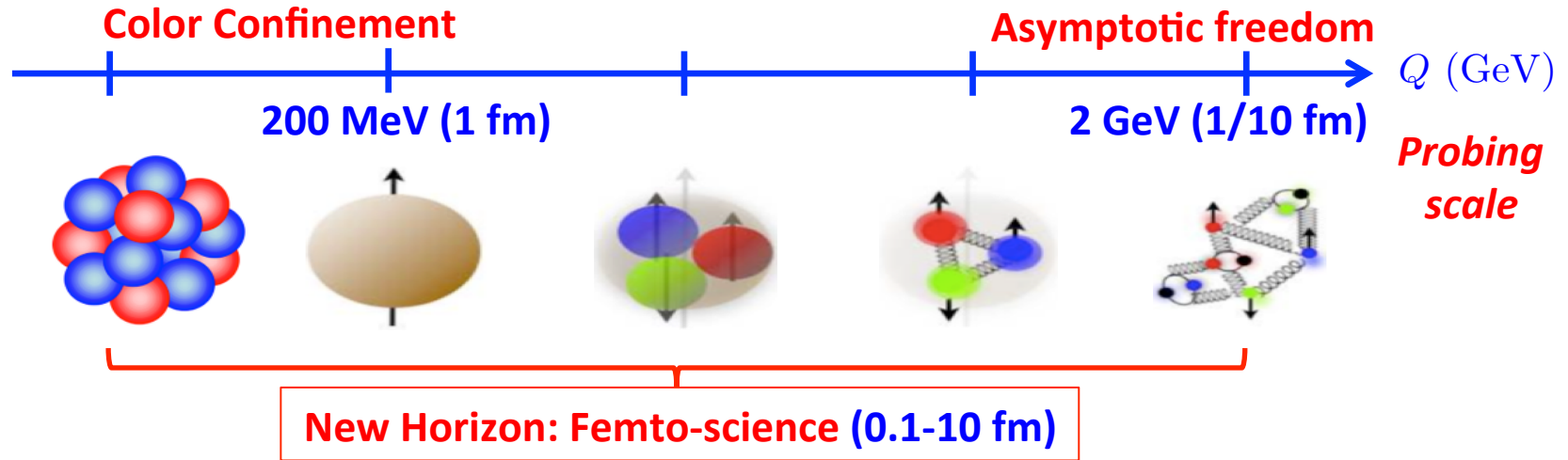
$$Q_1 \gg Q_2 \sim 1/R \sim \Lambda_{\text{QCD}}$$

- ✧ **Hard scale:** localizes the probe particle nature of quarks/gluons
- ✧ **“Soft” scale:** could be more sensitive to the hadron structure $\sim 1/\text{fm}$
- ✧ Hit the hadron “very hard” without breaking it, clean information on the structure!

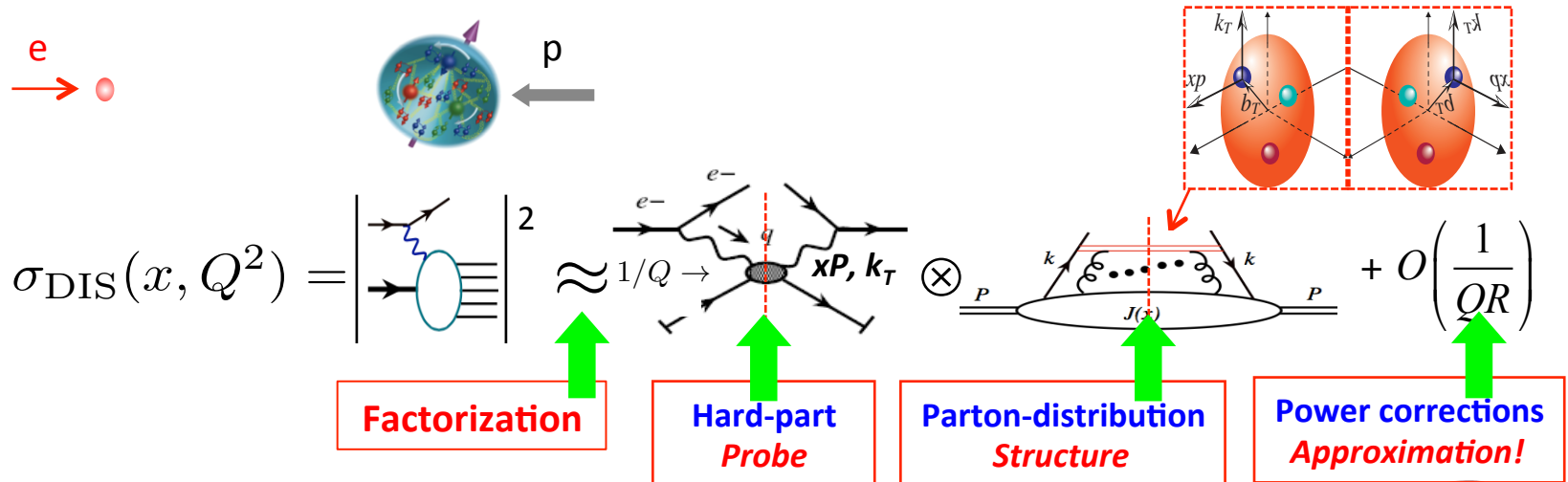


QCD at Fermi Scale

- QCD landscape of nucleon and nuclei – Strong QCD!



- Any cross section with identified hadron(s) is **NOT** perturbatively calculable!



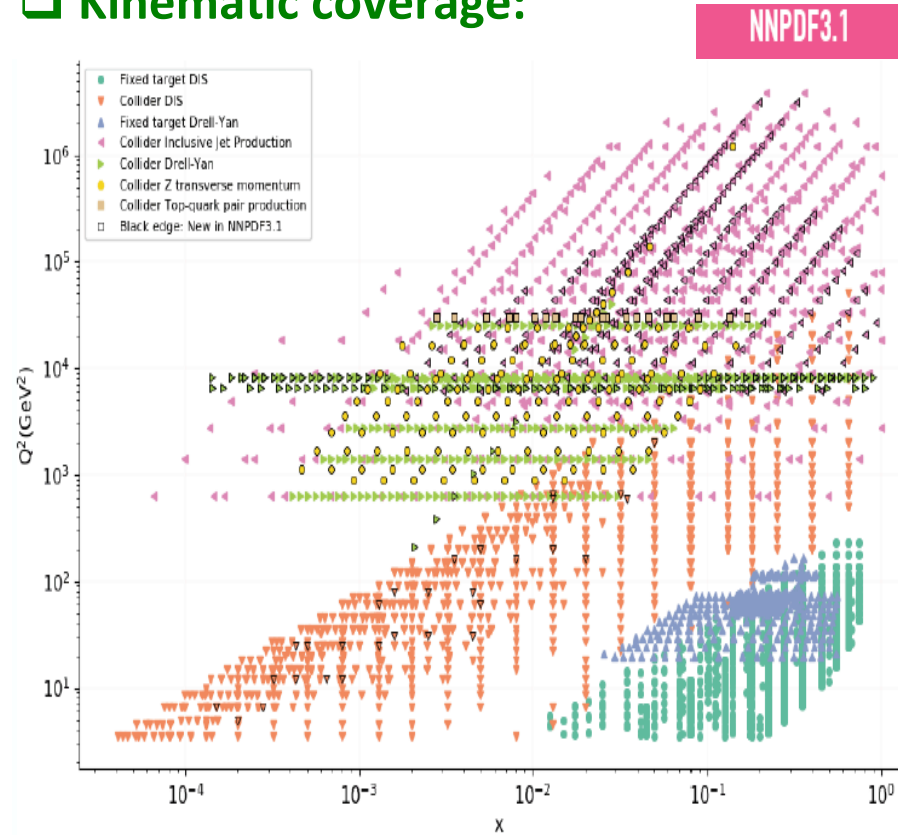
Structure: in terms of quantum matrix elements/probabilities, ...

QCD factorization works to the precision

Data sets for Global fits:

	Process	Subprocess	Partons	x range
Fixed Target	$\ell^\pm(p, n) \rightarrow \ell^\pm + X$	$\gamma^* q \rightarrow q$	q, \bar{q}, g	$x \gtrsim 0.01$
	$\ell^\pm n/p \rightarrow \ell^\pm + X$	$\gamma^* d/u \rightarrow d/u$	d/u	$x \gtrsim 0.01$
	$pp \rightarrow \mu^+ \mu^- + X$	$u\bar{u}, d\bar{d} \rightarrow \gamma^*$	q	$0.015 \lesssim x \lesssim 0.35$
	$pn/pp \rightarrow \mu^+ \mu^- + X$	$(u\bar{d})/(u\bar{u}) \rightarrow \gamma^*$	d/\bar{u}	$0.015 \lesssim x \lesssim 0.35$
	$\nu(\bar{\nu}) N \rightarrow \mu^-(\mu^+) + X$	$W^* q \rightarrow q'$	q, \bar{q}	$0.01 \lesssim x \lesssim 0.5$
	$\nu N \rightarrow \mu^- \mu^+ + X$	$W^* s \rightarrow c$	s	$0.01 \lesssim x \lesssim 0.2$
	$\bar{\nu} N \rightarrow \mu^+ \mu^- + X$	$W^* \bar{s} \rightarrow \bar{c}$	\bar{s}	$0.01 \lesssim x \lesssim 0.2$
Collider DIS	$e^\pm p \rightarrow e^\pm + X$	$\gamma^* q \rightarrow q$	g, q, \bar{q}	$0.0001 \lesssim x \lesssim 0.1$
	$e^\pm p \rightarrow \bar{\nu} + X$	$W^\pm(d, s) \rightarrow (u, c)$	d, s	$x \gtrsim 0.01$
	$e^\pm p \rightarrow e^\pm c\bar{c} + X$	$\gamma^* c \rightarrow c, \gamma^* g \rightarrow c\bar{c}$	c, g	$10^{-4} \lesssim x \lesssim 0.01$
	$e^\pm p \rightarrow e^\pm b\bar{b} + X$	$\gamma^* b \rightarrow b, \gamma^* g \rightarrow b\bar{b}$	b, g	$10^{-4} \lesssim x \lesssim 0.01$
	$e^\pm p \rightarrow \text{jet} + X$	$\gamma^* g \rightarrow q\bar{q}$	g	$0.01 \lesssim x \lesssim 0.1$
Tevatron	$pp \rightarrow \text{jet} + X$	$gg, q\bar{q}, q\bar{q} \rightarrow 2j$	g, q	$0.01 \lesssim x \lesssim 0.5$
	$pp \rightarrow (W^\pm \rightarrow \ell^\pm \nu) + X$	$u\bar{d} \rightarrow W^+, \bar{u}\bar{d} \rightarrow W^-$	u, d, \bar{u}, \bar{d}	$x \gtrsim 0.05$
	$pp \rightarrow (Z \rightarrow \ell^+ \ell^-) + X$	$u\bar{u}, d\bar{d} \rightarrow Z$	u, d	$x \gtrsim 0.05$
	$pp \rightarrow t\bar{t} + X$	$q\bar{q} \rightarrow t\bar{t}$	q	$x \gtrsim 0.1$
LHC	$pp \rightarrow \text{jet} + X$	$gg, q\bar{q}, q\bar{q} \rightarrow 2j$	g, q	$0.001 \lesssim x \lesssim 0.5$
	$pp \rightarrow (W^\pm \rightarrow \ell^\pm \nu) + X$	$u\bar{d} \rightarrow W^+, d\bar{u} \rightarrow W^-$	$u, d, \bar{u}, \bar{d}, g$	$x \gtrsim 10^{-3}$
	$pp \rightarrow (Z \rightarrow \ell^+ \ell^-) + X$	$q\bar{q} \rightarrow Z$	q, \bar{q}, g	$x \gtrsim 10^{-3}$
	$pp \rightarrow (Z \rightarrow \ell^+ \ell^-) + X, p_\perp$	$gq(\bar{q}) \rightarrow Zq(\bar{q})$	g, q, \bar{q}	$x \gtrsim 0.01$
	$pp \rightarrow (\gamma^* \rightarrow \ell^+ \ell^-) + X, \text{Low mass}$	$q\bar{q} \rightarrow \gamma^*$	q, \bar{q}, g	$x \gtrsim 10^{-4}$
	$pp \rightarrow (\gamma^* \rightarrow \ell^+ \ell^-) + X, \text{High mass}$	$q\bar{q} \rightarrow \gamma^*$	q	$x \gtrsim 0.1$
	$pp \rightarrow W^+ c, W^- c$	$s\bar{g} \rightarrow W^+ c, \bar{s}g \rightarrow W^- c$	s, \bar{s}	$x \sim 0.01$
	$pp \rightarrow t\bar{t} + X$	$g\bar{g} \rightarrow t\bar{t}$	g	$x \gtrsim 0.01$
	$pp \rightarrow D, B + X$	$g\bar{g} \rightarrow c\bar{c}, b\bar{b}$	g	$x \gtrsim 10^{-6}, 10^{-5}$
	$pp \rightarrow J/\psi, \Upsilon + pp$	$\gamma^*(g\bar{g}) \rightarrow c\bar{c}, b\bar{b}$	g	$x \gtrsim 10^{-6}, 10^{-5}$
	$pp \rightarrow \gamma + X$	$gq(\bar{q}) \rightarrow \gamma q(\bar{q})$	g	$x \gtrsim 0.005$

Kinematic coverage:



Fit quality:

$\chi^2/\text{dof} \sim 1 \Rightarrow$ **Non-trivial**
check of QCD

All data sets	3706 / 2763	3267 / 2996	2717 / 2663
---------------	-------------	-------------	-------------

LO

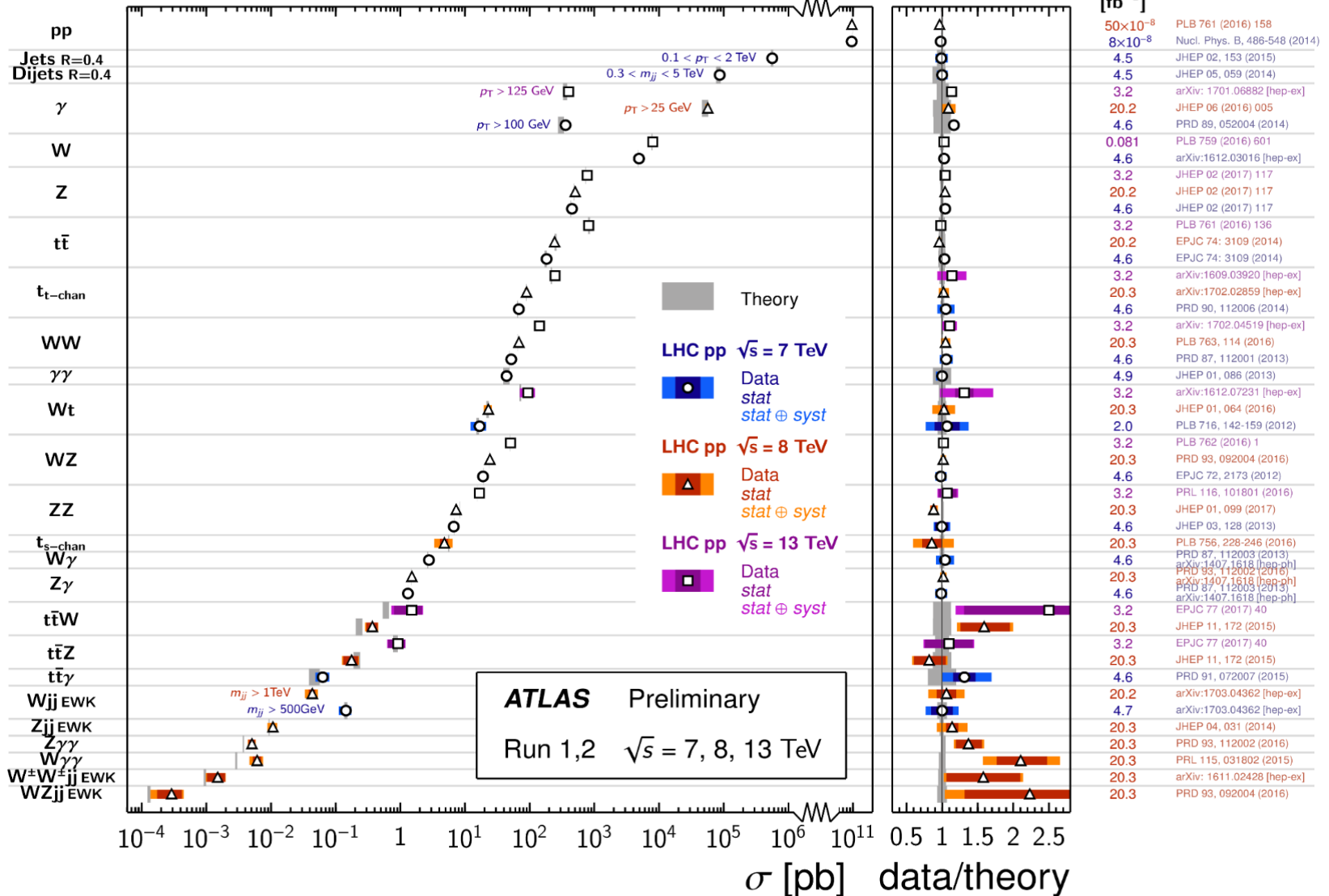
NLO

NNLO

QCD factorization works to the precision

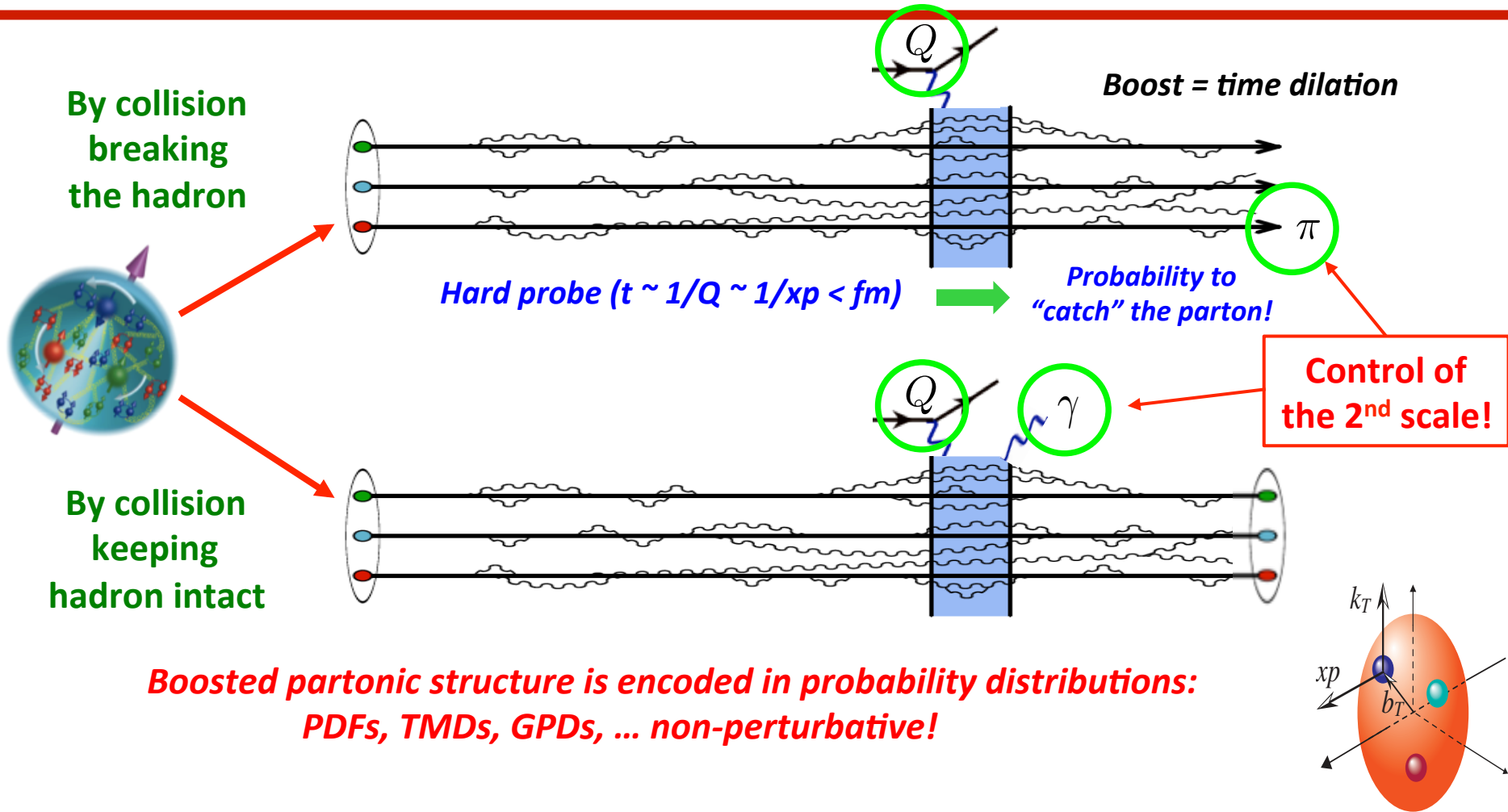
Standard Model Production Cross Section Measurements

Status: March 2017 $\int \mathcal{L} dt$
[fb⁻¹]

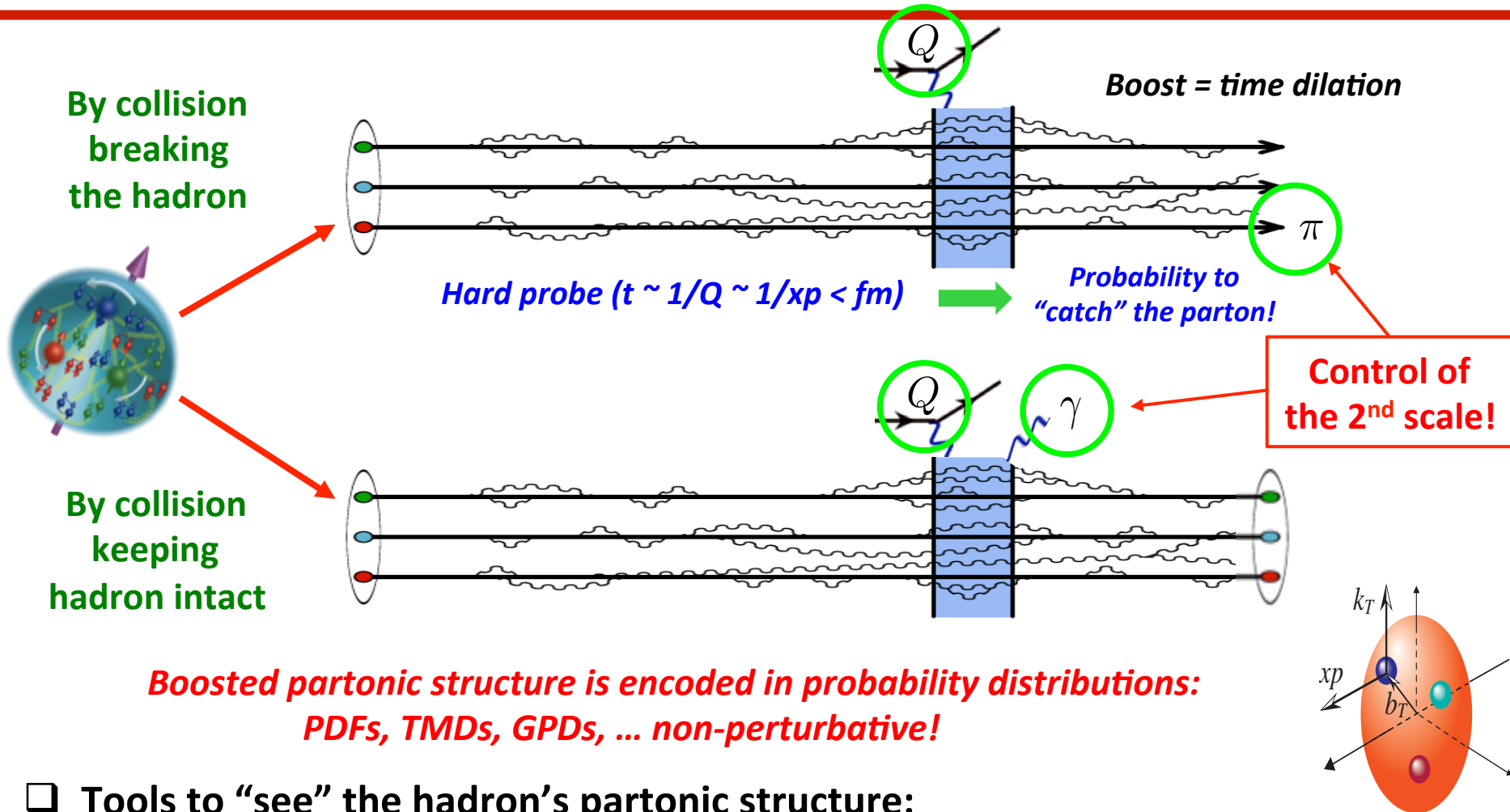


SM: Electroweak processes + QCD perturbation theory + PDFs works!

“See” the hadron structure



“See” the hadron structure



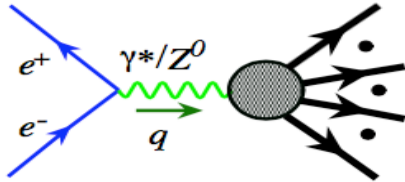
☐ Tools to “see” the hadron’s partonic structure:

- ✧ Experiment + QCD factorization + Global analysis/Phenomenology + Computing
- ✧ Lattice QCD + QCD factorization + Global analysis/Phenomenology + Computing

Complementary to each other, need each other, ...

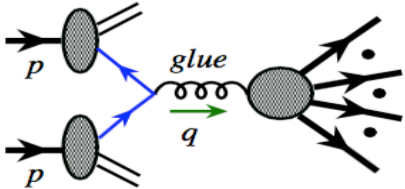
QCD needs lepton-hadron facility

□ Hadrons are produced from the energy in e+e- collisions:



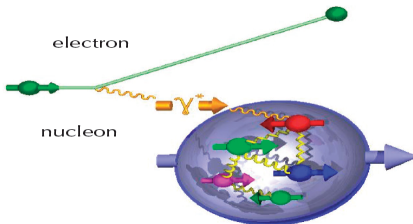
- No hadron to start with
- Emergence of hadrons

□ Hadrons are produced in hadron-hadron collisions:



- Partonic structure
- Emergence of hadrons
- Heavy ion target or beam(s)

□ Hadrons are produced in lepton-hadron collisions:



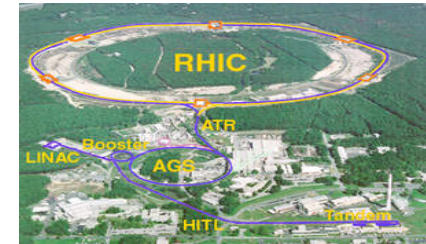
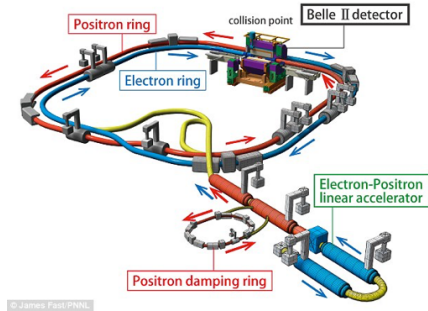
One facility covers all!

- Colliding hadron can be broken or **stay intact!**
- Imaging partonic structure
- Emergence of hadrons
- Heavy ion target or beam

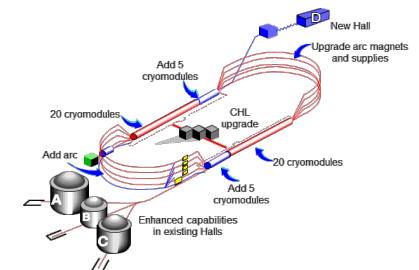
JLab 12 GeV
Valence



EIC
Sea and glue

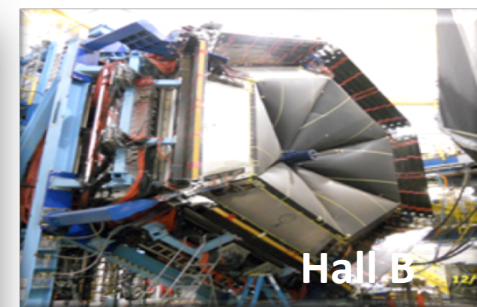
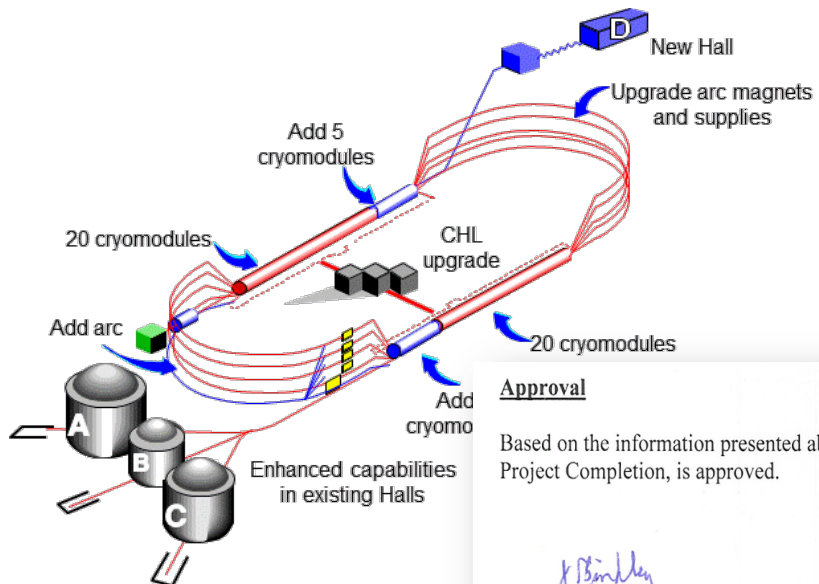


Also at the LHC



Also at COMPASS & future EIC

CEBAF 12 GeV Upgrade



Approval

Based on the information presented above and at this review, Critical Decision 4, Approve Project Completion, is approved.

J. Binkley
Dr. J. Stephen Binkley
Deputy Director for Science Programs
Office of Science

9/27/17
Date

Project Completion Approved on September 27, 2017

All four Halls are in physics operations

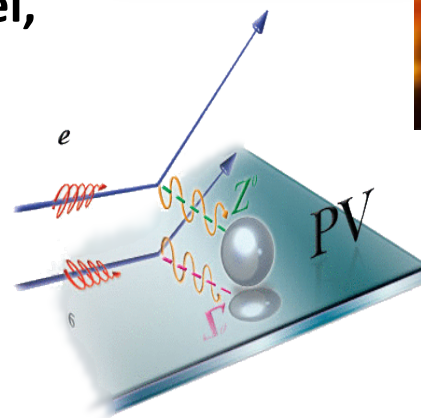
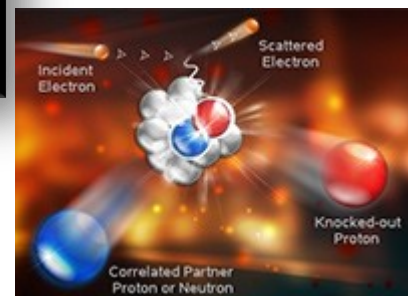
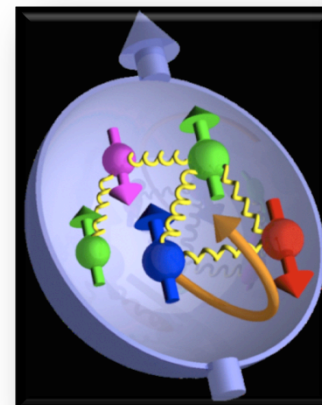
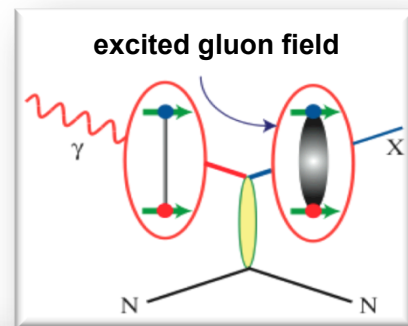
JLab 12 GeV science era is here!

A critical step toward EIC!

A Lepton-Hadron Facility has the highest luminosity

JLab12 Scientific Questions

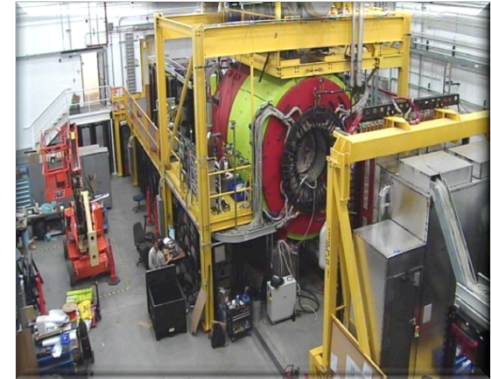
- What is the role of gluonic excitations in the spectroscopy of light mesons? Can these excitations elucidate the origin of quark confinement?
- Where is the missing spin in the nucleon? Is there a significant contribution from valence quark orbital angular momentum?
- Can we reveal a novel landscape of nucleon substructure through 3D imaging at the femtometer scale?
- What is the relation between short-range N-N correlations, the partonic structure of nuclei, and the nature of the nuclear force?
- Can we discover evidence for physics beyond the standard model of particle physics?



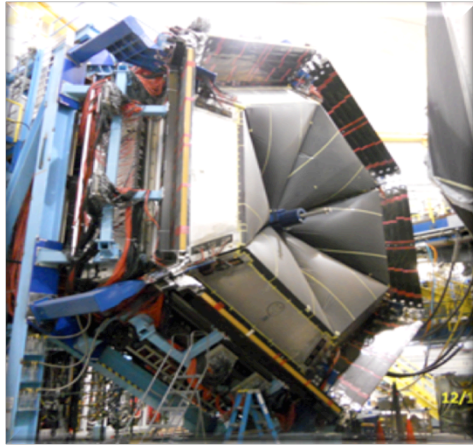
JLab12 Scientific Capabilities

V.D. Burkert's talk on "Explore Strong QCD in the JLab Experiments ..."

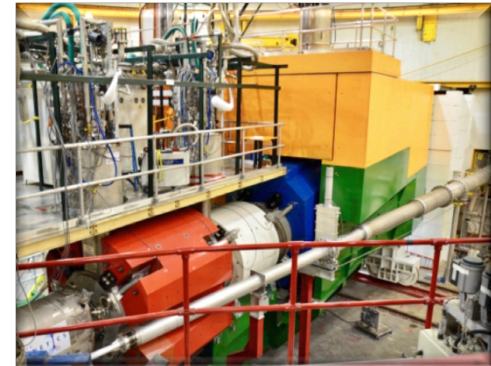
Hall D – exploring origin of **confinement** by studying **exotic mesons**



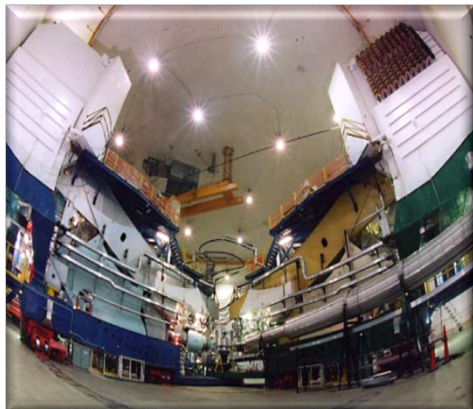
Hall B – understanding **nucleon structure** via **generalized parton distributions (GPDs)** and **transverse momentum dependent distributions (TMDs)**



Hall C – precision determination of **valence quark** properties in nucleons and nuclei



Hall A – short range correlations, form factors (SBS), hyper-nuclear physics, **future new experiments (e.g., SoLID and MOLLER)**



Strong QCD “Theory” at this conference

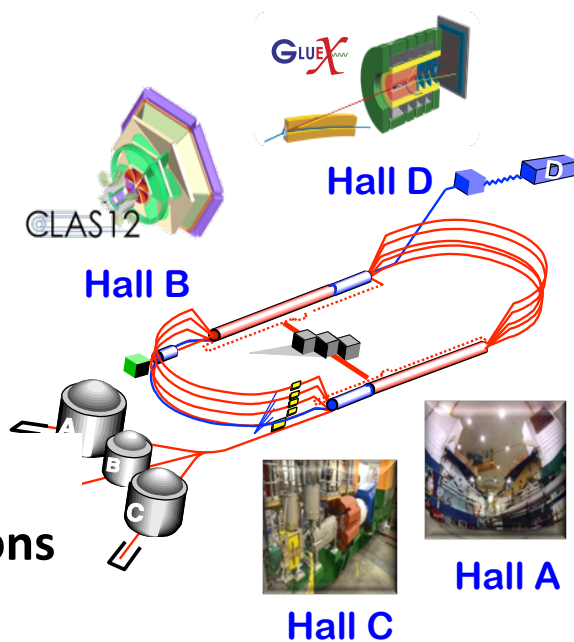
Nucleon Resonance, Spectroscopy, Exotics
Hiller-Blin, Gothe, Segovia, Szczepaniak, Thiel, ...

Nuclear structure from QCD
Draayer

Form factors, ...
Cole, Kim,

Nucleon structure in 3D
Vanderhaeghen, Ji, ..

From neutron to stars
Liuti, ...



QCD Phenomenology – QCD global analysis
Andres, Radici

Solve QCD with controlled approximations
Roberts, Rodriguez-Quintero, Mezrag, ..

Lattice QCD meets QCD Phenomenology
Briceno, Lin, Radyushkin,

QCD: a 50-year experience
Brodsky

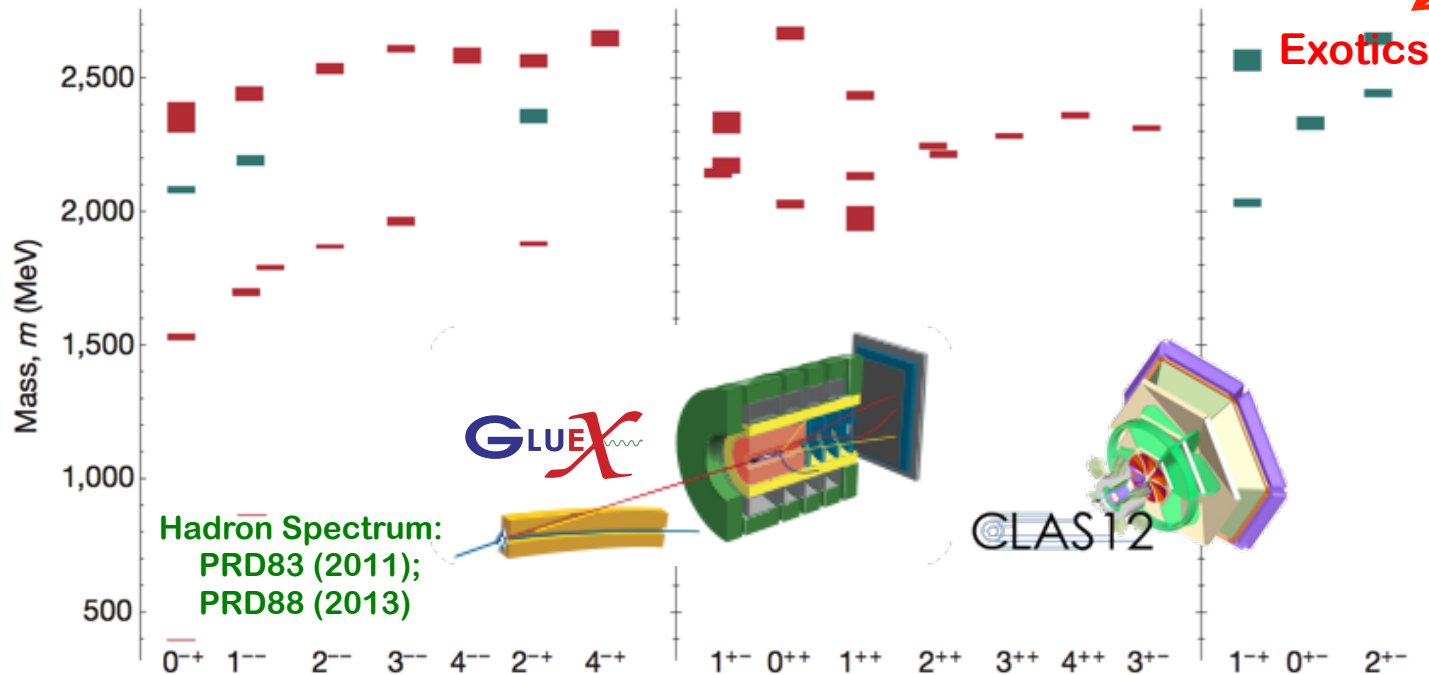
The Future: Electron-Ion Collider
Milner

LQCD – beyond the mass spectrum

- ✧ GlueX looking for exotic hybrid mesons in photoproduction
- ✧ Might appear as enhancement in $\pi\pi\pi \sim \pi\rho, \pi\sigma, \pi f_0(980)\dots$

See talk by Briceno

Light quark meson + “exotics” & “hybrids” spectrum

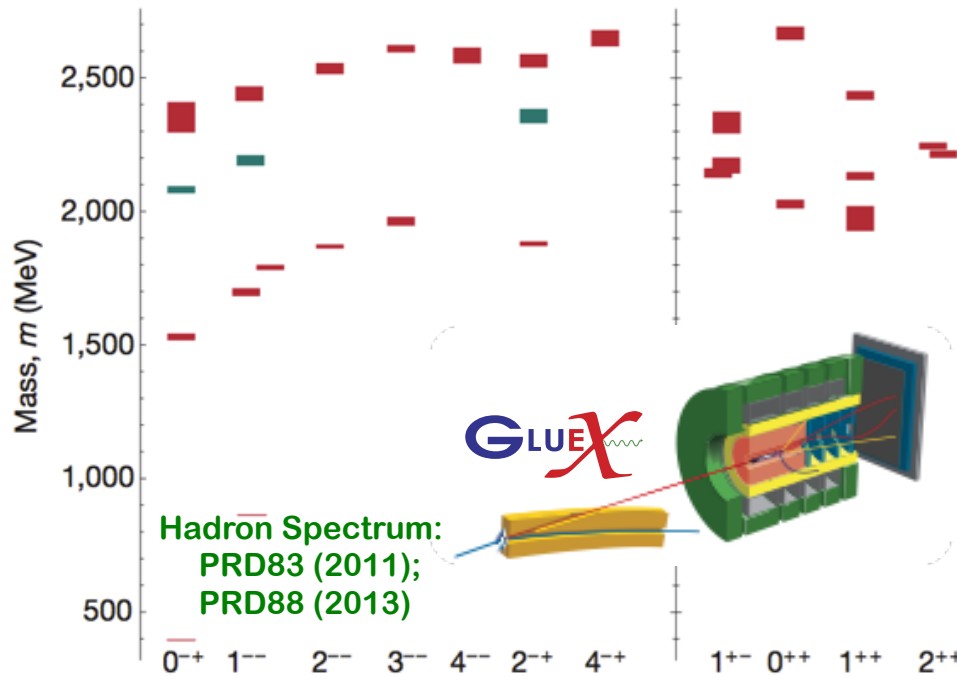


LQCD – beyond the mass spectrum

- ✧ GlueX looking for exotic hybrid mesons in photoproduction
- ✧ Might appear as enhancement in $\pi\pi\pi \sim \pi\rho, \pi\sigma, \pi f_0(980)\dots$

See talk by Briceno

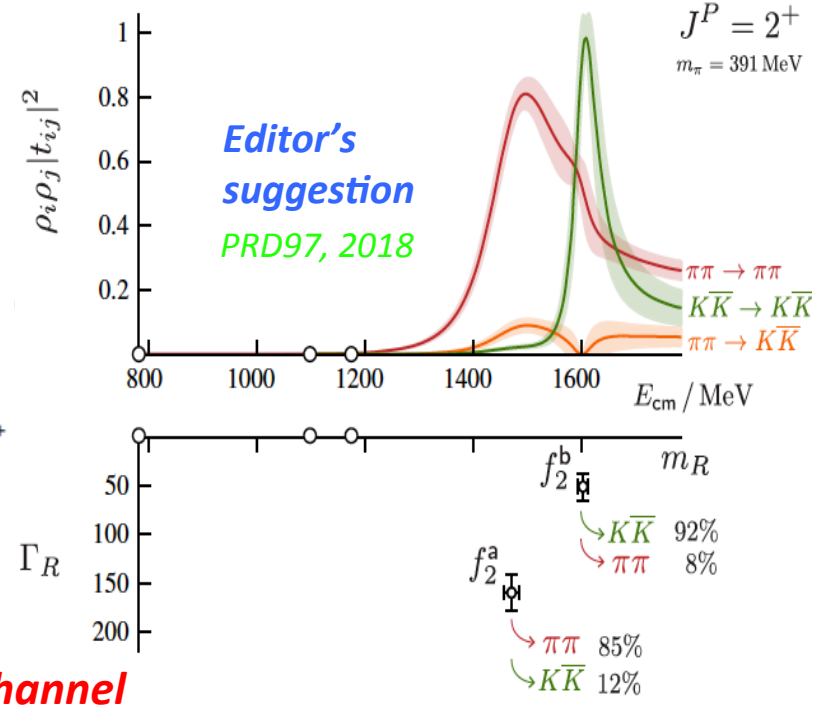
Light quark meson + “exotics” & “hybrids” spectrum



Exotics

Predicted

Decay rate



Motivation in GlueX PID upgrade proposal
GlueX actively calibrating in this channel



Hadron Spectroscopy - JPAC

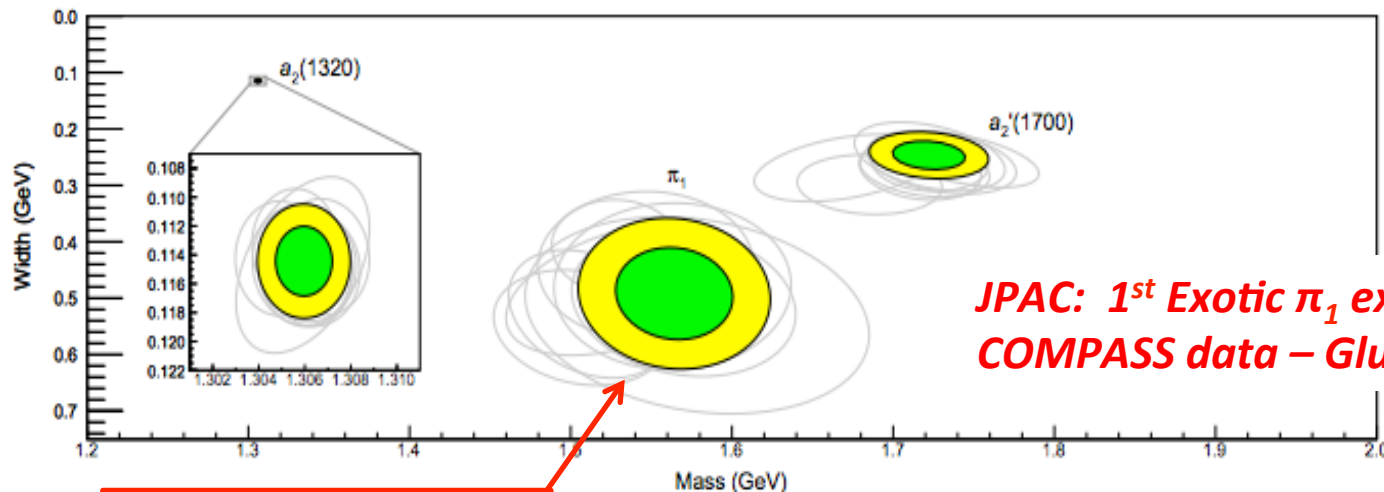
❑ Searching for the Exotics:

See talk by Szczepaniak

“Determination of the Pole Position of the Lightest Hybrid Meson Candidate”

Exotics in $\eta^{(\prime)}\pi$ – led to the 1st Exotic π_1

- ✧ For the first time pole parameters of the exotic π_1 resonance were extracted using a coupled channel fit to COMPASS $\eta^{(\prime)}\pi$ P- and D-waves
- ✧ Results compatible with the existence of a single π_1 meson, which solves a longstanding puzzle about two different $\pi_1(1400)$ and $\pi_1(1600)$, decaying separately into $\eta\pi$ and $\eta'\pi$



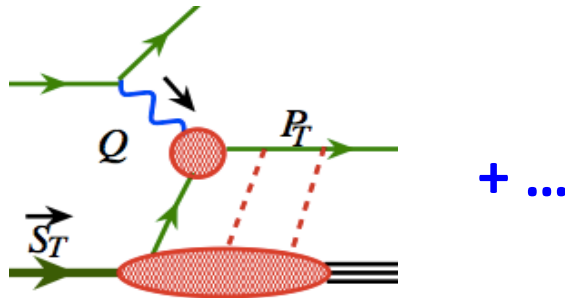
JPAC: 1st Exotic π_1 extracted from COMPASS data – GlueX data next!

Mass: $1564 \pm 24 \pm 86$
Width: $492 \pm 54 \pm 102$

“See” the 3D hadron structure

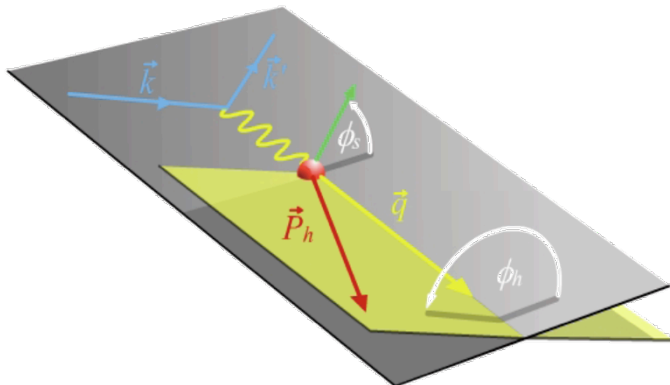
□ Two-scale observables are natural in lepton-hadron collisions:

✧ Semi-inclusive DIS:



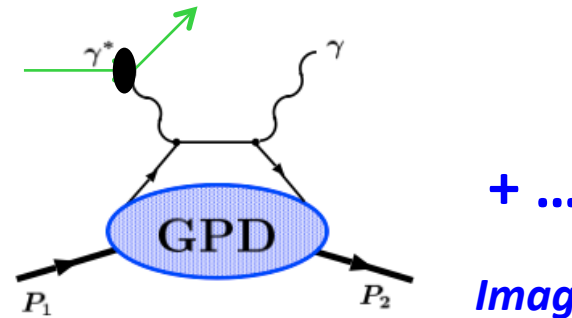
SIDIS: $Q \gg P_T$

Parton's confined motion
encoded into **TMDs**



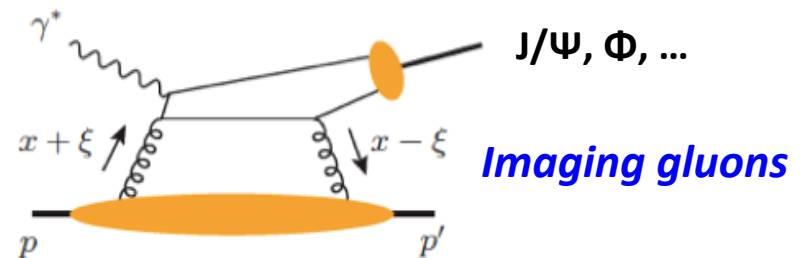
Two scales, two planes,
Angular modulation, ...

✧ Exclusive DIS:



DVCS: $Q^2 \gg |t|$

Parton's spatial imaging from Fourier
transform of **GPDs'** t-dependence



Heavy quarkonium: $Q^2 + M^2 \gg |t|$

Imaging the glue only at EIC
Need JLab12 to establish, ...  Jefferson Lab

Theory is solid for matching parton to hadron

□ Wigner distributions in 5D (or GTMDs):

*Momentum
Space*

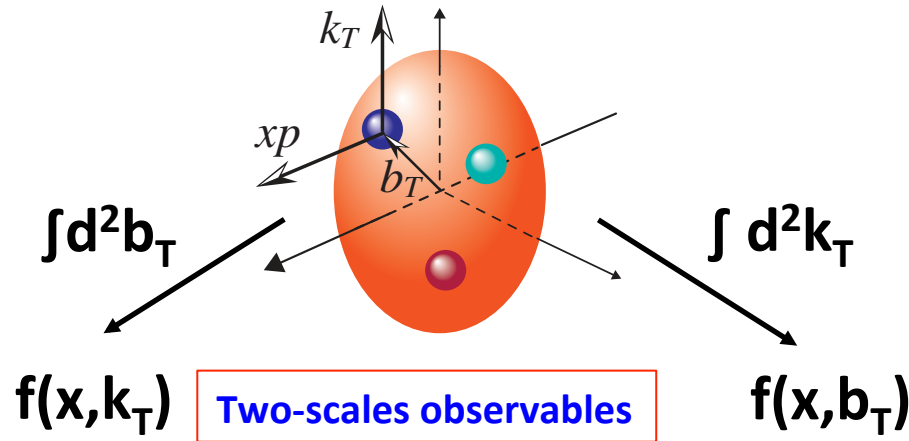
*Coordinate
Space*

TMDs

GPDs

*Confined
motion*

*Spatial
distribution*



□ TMDs & SIDIS as an example:

✧ Low P_{hT} ($P_{hT} \ll Q$) – TMD factorization:

$$\sigma_{\text{SIDIS}}(Q, P_{h\perp}, x_B, z_h) = \hat{H}(Q) \otimes \Phi_f(x, k_\perp) \otimes \mathcal{D}_{f \rightarrow h}(z, p_\perp) \otimes \mathcal{S}(k_{s\perp}) + \mathcal{O}\left[\frac{P_{h\perp}}{Q}\right]$$

✧ High P_{hT} ($P_{hT} \sim Q$) – Collinear factorization:

$$\sigma_{\text{SIDIS}}(Q, P_{h\perp}, x_B, z_h) = \hat{H}(Q, P_{h\perp}, \alpha_s) \otimes \phi_f \otimes D_{f \rightarrow h} + \mathcal{O}\left(\frac{1}{P_{h\perp}}, \frac{1}{Q}\right)$$

✧ P_{hT} Integrated - Collinear factorization:

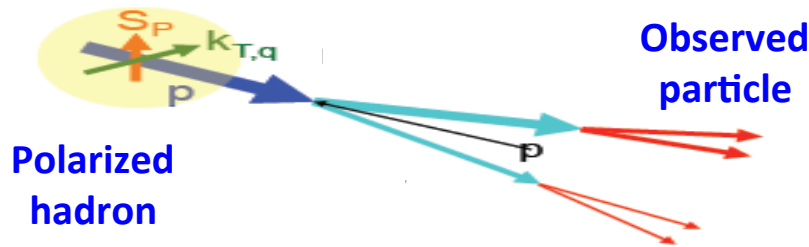
$$\sigma_{\text{SIDIS}}(Q, x_B, z_h) = \tilde{H}(Q, \alpha_s) \otimes \phi_f \otimes D_{f \rightarrow h} + \mathcal{O}\left(\frac{1}{Q}\right)$$

✧ Very high $P_{hT} \gg Q$ – Collinear factorization:

$$\sigma_{\text{SIDIS}}(Q, P_{h\perp}, x_B, z_h) = \sum_{abc} \hat{H}_{ab \rightarrow c} \otimes \phi_{\gamma \rightarrow a} \otimes \phi_b \otimes D_{c \rightarrow h} + \mathcal{O}\left(\frac{1}{Q}, \frac{Q}{P_{h\perp}}\right)$$

First comprehensive study of the confined motion - JLab

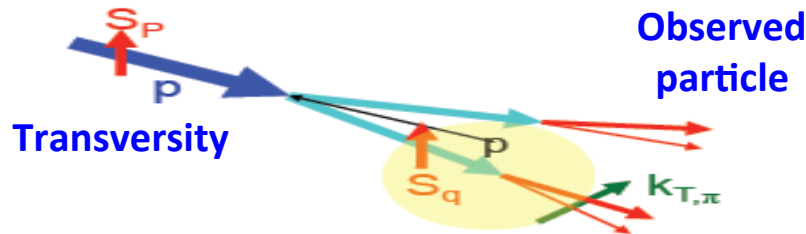
- Quantum correlation between hadron spin and parton motion:



Sivers effect – Sivers function

Hadron spin influences parton's transverse motion

- Quantum correlation between parton's spin and its hadronization:



Collins effect – Collins function

Parton's transverse polarization influences its hadronization

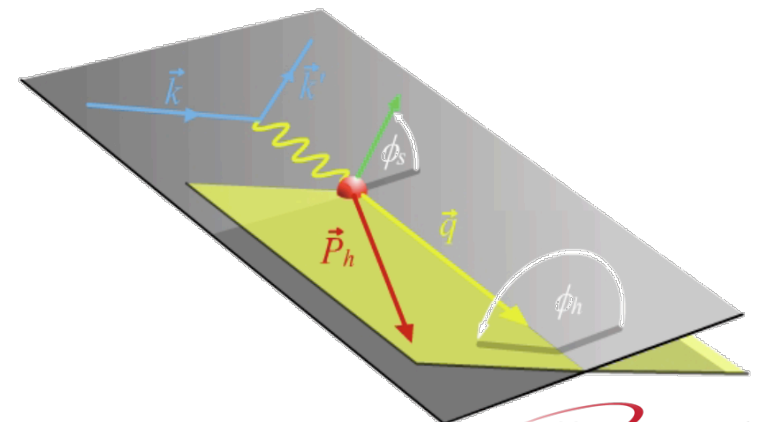
- SIDIS is ideal for probing TMDs:

$$A_{UT}^{Collins} \propto \langle \sin(\phi_h + \phi_S) \rangle_{UT} \propto h_1 \otimes H_1^\perp$$

$$A_{UT}^{Sivers} \propto \langle \sin(\phi_h - \phi_S) \rangle_{UT} \propto f_{1T}^\perp \otimes D_1$$

$$A_{UT}^{Pretzelosity} \propto \langle \sin(3\phi_h - \phi_S) \rangle_{UT} \propto h_{1T}^\perp \otimes H_1^\perp$$

Another strength of lepton-hadron machine!



First comprehensive study of the spatial imaging - JLab

❑ No color elastic nucleon form factor!

➔ *Spatial distribution of quark/gluon densities – GPDs*

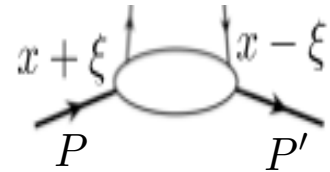
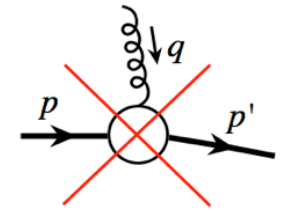
❑ Quark “form factor”:

$$F^q = \frac{1}{2} \int \frac{dz^-}{2\pi} e^{ixP^+z^-} \langle p' | \bar{q}(-\frac{1}{2}z) \gamma^+ q(\frac{1}{2}z) | p \rangle \Big|_{z^+=0, z=0}$$

$$= \frac{1}{2P^+} \left[H^q(x, \xi, t) \bar{u}(p') \gamma^+ u(p) + E^q(x, \xi, t) \bar{u}(p') \frac{i\sigma^{+\alpha} \Delta_\alpha}{2m} u(p) \right]$$

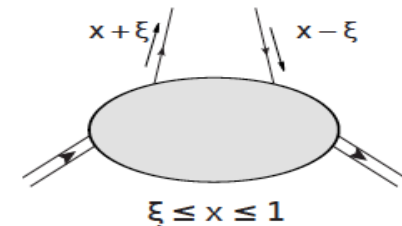
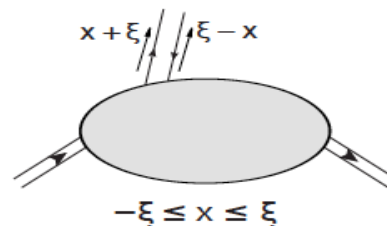
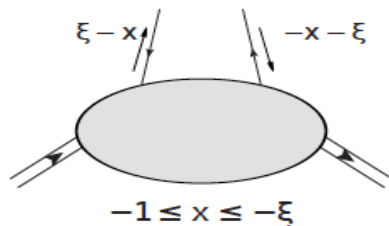
with $\xi = (P' - P) \cdot n/2$ and $t = (P' - P)^2 \Rightarrow -\Delta_\perp^2$ if $\xi \rightarrow 0$

Gauge link: $W[a, b] = P \exp\left(ig \int_b^a dx^- A^+(x^- n_-)\right)$



Mueller et al., 94;
Ji, 96;
Radyushkin, 96

❑ Kinematics:



Two more for quarks: $\tilde{H}_q(x, \xi, t, Q)$, $\tilde{E}_q(x, \xi, t, Q)$

with $\gamma \cdot n \longrightarrow \gamma \cdot n \gamma_5$

Definition of GPDs

□ Gluon “form factor”:

Mueller et al., 94;
Ji, 96;
Radyushkin, 96

$$F^g = \frac{1}{P^+} \int \frac{dz^-}{2\pi} e^{ixP^+z^-} \langle p' | G^{+\mu}(-\frac{1}{2}z) G_{\mu}^+(\frac{1}{2}z) | p \rangle \Big|_{z^+=0, z=0}$$
$$= \frac{1}{2P^+} \left[H^g(x, \xi, t) \bar{u}(p') \gamma^+ u(p) + E^g(x, \xi, t) \bar{u}(p') \frac{i\sigma^{+\alpha} \Delta_\alpha}{2m} u(p) \right]$$

Two more for gluons: $\tilde{H}^g(x, \xi, t)$ $\tilde{E}^g(x, \xi, t)$

with the two gluon field strength contracted anti-symmetrically

□ Forward limit – connection to collinear PDFs:

$$H^q(x, 0, 0) = q(x), \quad \tilde{H}^q(x, 0, 0) = \Delta q(x) \quad \text{for } x > 0$$

$$H^q(x, 0, 0) = -\bar{q}(-x), \quad \tilde{H}^q(x, 0, 0) = \Delta \bar{q}(-x) \quad \text{for } x < 0$$

$$H^g(x, 0, 0) = xg(x), \quad \tilde{H}^g(x, 0, 0) = x\Delta g(x) \quad \text{for } x > 0$$

The factorization scale dependence is suppressed

Foundation for the imaging and proton “radius” of quarks/gluons

Properties and Importance of GPDs

□ QCD energy-momentum tensor:

See talks by Elouadrhiri and Liuti for connection to pressure

$$T^{\mu\nu} = \sum_{i=q,g} T_i^{\mu\nu} \quad \text{with} \quad T_q^{\mu\nu} = \bar{q} \gamma^{(\mu} \overleftrightarrow{D}^{\nu)} q$$

$$T_g^{\mu\nu} = G^{\mu\alpha} G_{\alpha}{}^{\nu} + \frac{1}{4} g^{\mu\nu} G^{\alpha\beta} G_{\alpha\beta}$$

□ Form factors:

$$\langle p' | T_{q,g}^{\mu\nu} | p \rangle = A_{q,g}(t) \bar{u} P^{(\mu} \gamma^{\nu)} u + B_{q,g}(t) \bar{u} \frac{P^{(\mu} i \sigma^{\nu)\alpha} \Delta_{\alpha}}{2m} u$$

$$+ C_{q,g}(t) \frac{\Delta^{\mu} \Delta^{\nu} - g^{\mu\nu} \Delta^2}{m} \bar{u} u + \bar{C}_{q,g}(t) m g^{\mu\nu} \bar{u} u$$

□ Light-cone helicity operator:

$$J^3 = \int dx^- d^2 \mathbf{x} M^{+12}(x) \quad \text{with} \quad M^{\alpha\mu\nu} = T^{\alpha\nu} x^{\mu} - T^{\alpha\mu} x^{\nu}$$

□ Connection to the proton spin:

$$\langle J_q^3 \rangle = \frac{1}{2} [A_q(0) + B_q(0)], \quad \langle J_g^3 \rangle = \frac{1}{2} [A_g(0) + B_g(0)]$$

Ji, PRL78, 1997

$$A_q(t) + B_q(t) = \int_{-1}^1 dx x [H_q(x, \xi, t) + E_q(x, \xi, t)]$$

$$A_g(t) + B_g(t) = \int_0^1 dx [H_g(x, \xi, t) + E_g(x, \xi, t)]$$

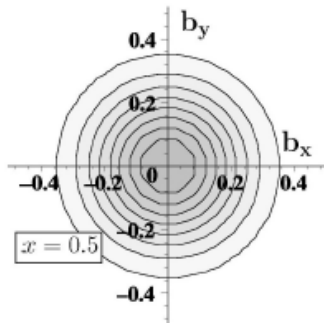
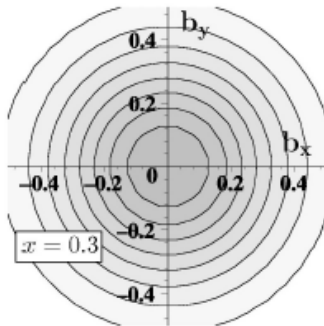
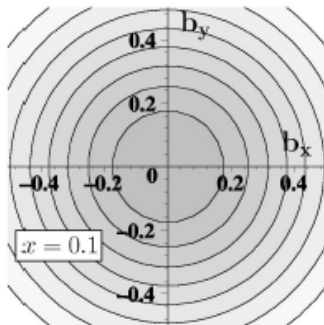
Spatial imaging from GPDs

M. Burkardt, PRD 2000

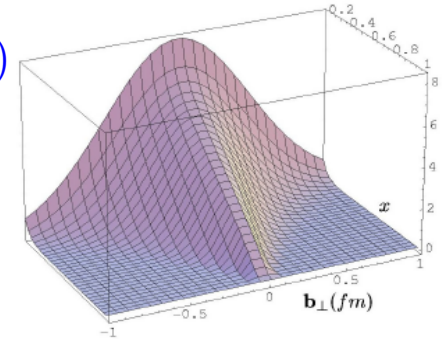
Impact parameter dependent quark distribution:

$$q(x, b_{\perp}, Q) = \int d^2\Delta_{\perp} e^{-i\Delta_{\perp} \cdot b_{\perp}} H_q(x, \xi = 0, t = -\Delta_{\perp}^2, Q)$$

$q(x, b_{\perp})$ for unpol. p



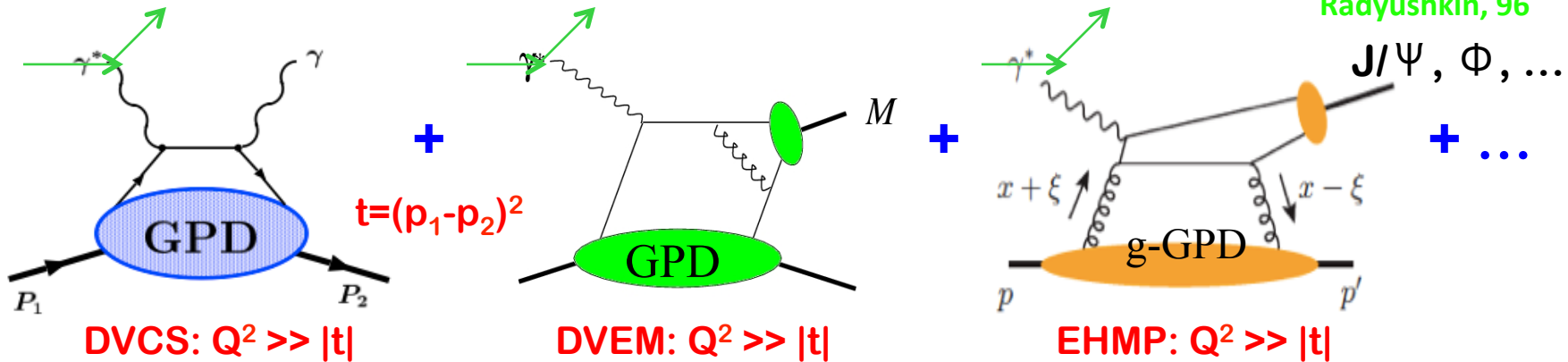
Unpolarized proton



- $F_1(-\Delta_{\perp}^2) = \int dx H(x, 0, -\Delta_{\perp}^2)$
 - x = momentum fraction of the quark
 - b_{\perp} relative to \perp center of momentum
 - small x : large 'meson cloud'
 - larger x : compact 'valence core'
 - $x \rightarrow 1$: active quark becomes center of momentum
- $\rightarrow \vec{b}_{\perp} \rightarrow 0$ (narrow distribution) for $x \rightarrow 1$

Hunting for GPDs – Exclusive DIS

Experimental access to GPDs:



Mueller et al., 94;
Ji, 96;
Radyushkin, 96

Much more complicated – (x, ξ, t) variables:

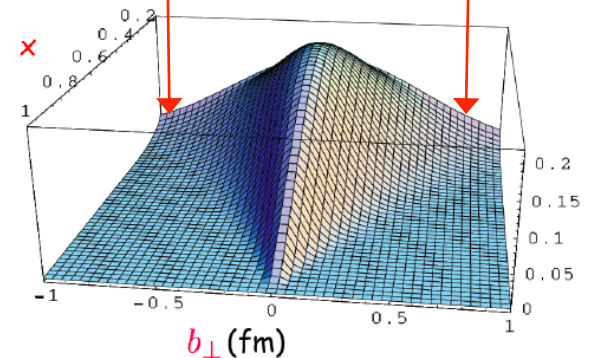
✧ Challenge to derive GPDs from data

GPDs could tell us:

- ✧ Orbital contribution to proton's spin
- ✧ Proton radius of quark & gluon density
- ✧ Hints for color confining radius/mechanism
- ✧ Origin of nuclear force, ...
- ✧ ...

How far does glue density spread?

How fast does glue density fall?



QCD factorization – Theory is solid

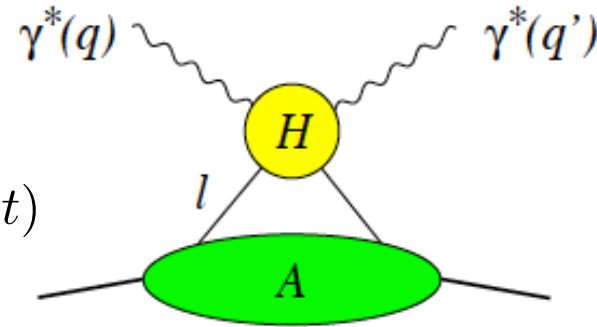
□ Deep Virtual Compton Scattering (DVCS):

$$\gamma^*(q) + p(p) \rightarrow \gamma^*(q') + p(p')$$

□ Factorization:

$$\mathcal{A}(\gamma^* p \rightarrow \gamma p) = \sum_i \int_{-1}^1 dx T^i(x, \xi, \rho, Q^2) F^i(x, \xi, t)$$

$$\rho = -(q + q')^2 / 2(p + p') \cdot (q + q')$$



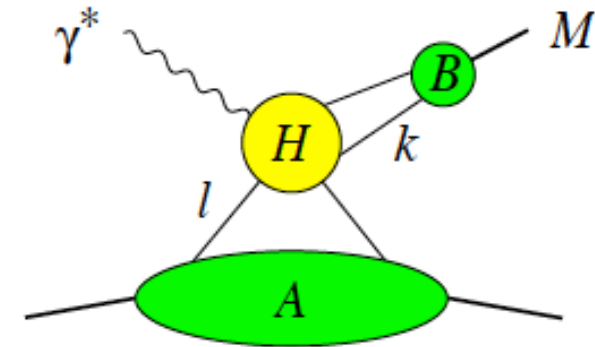
□ Deep Virtual Meson Production (DVMP):

$$\gamma^*(q) + p(p) \rightarrow M(q') + p(p')$$

□ Factorization:

$$\mathcal{A}(\gamma_L^* p \rightarrow M_L p) = \frac{1}{Q} \sum_{ij} \int_{-1}^1 dx$$

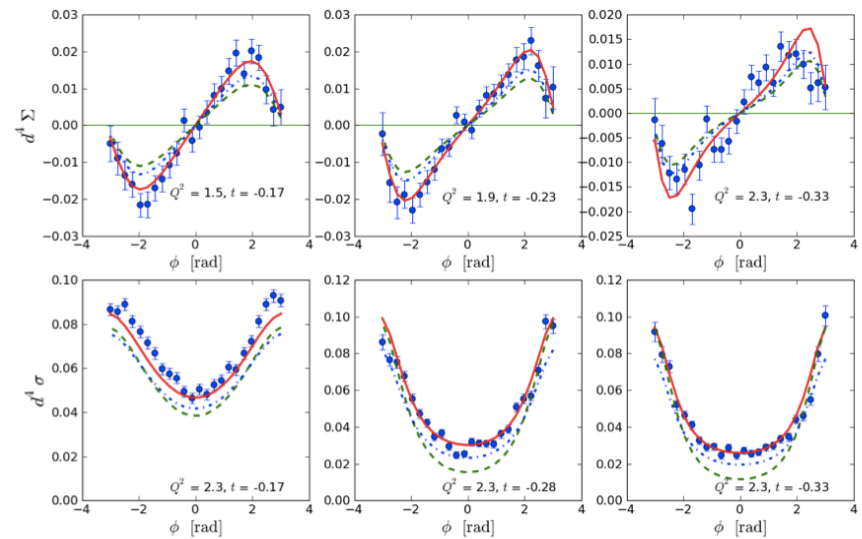
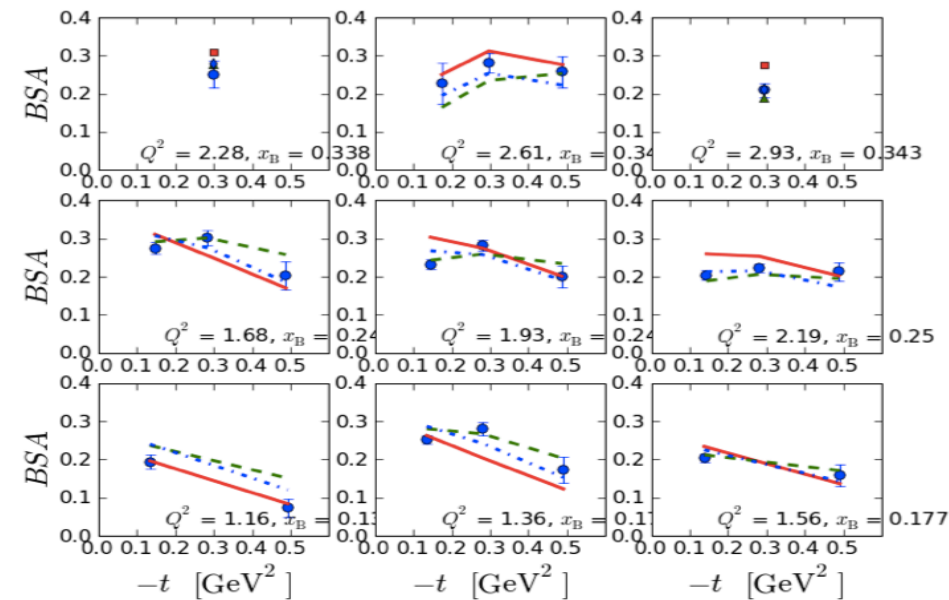
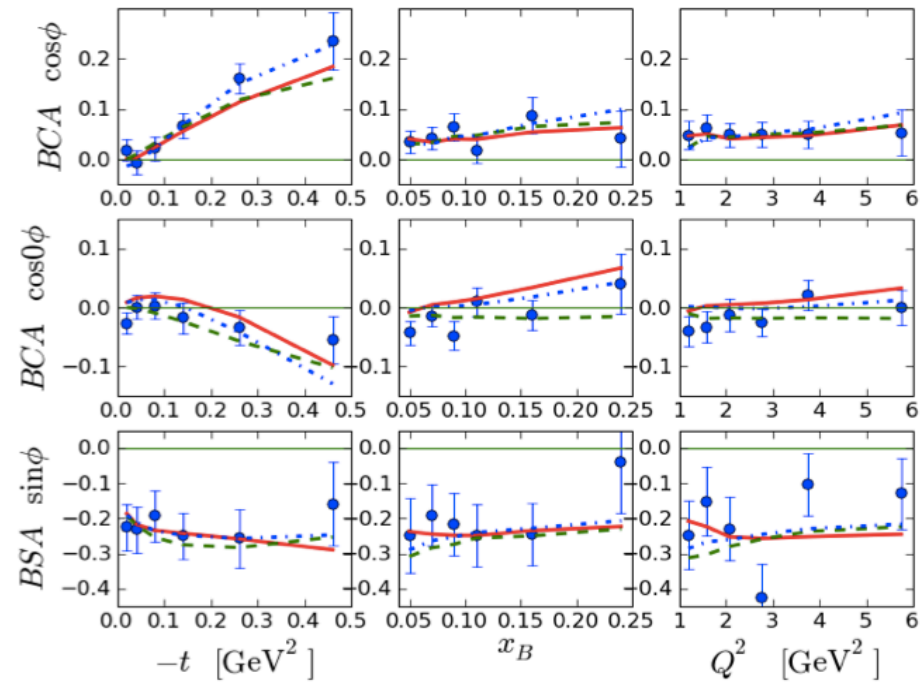
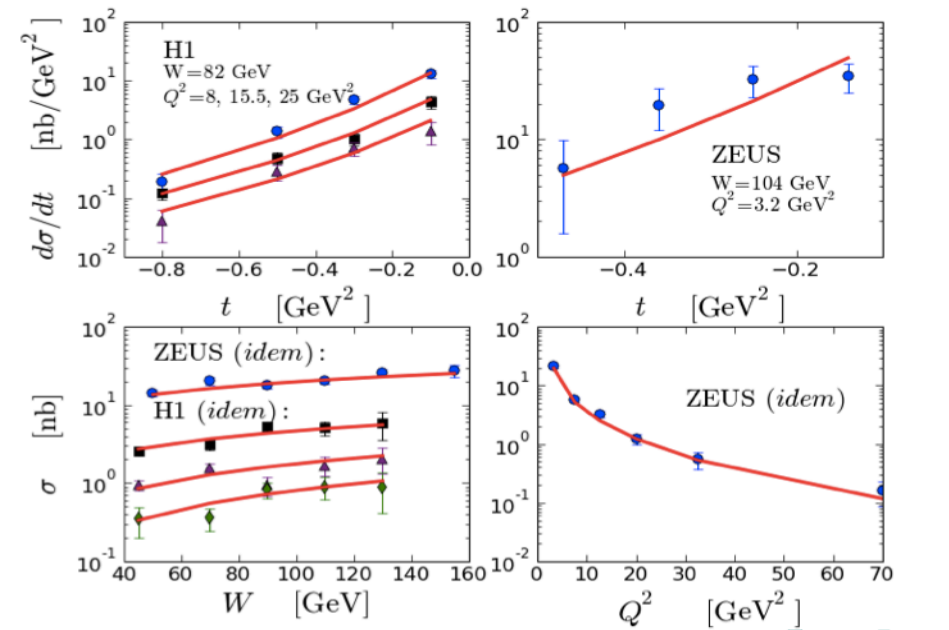
$$\times \int_0^1 dz T^{ij}(x, \xi, z, Q^2) F^i(x, \xi, t) \Phi^j(z)$$



□ Evolution:

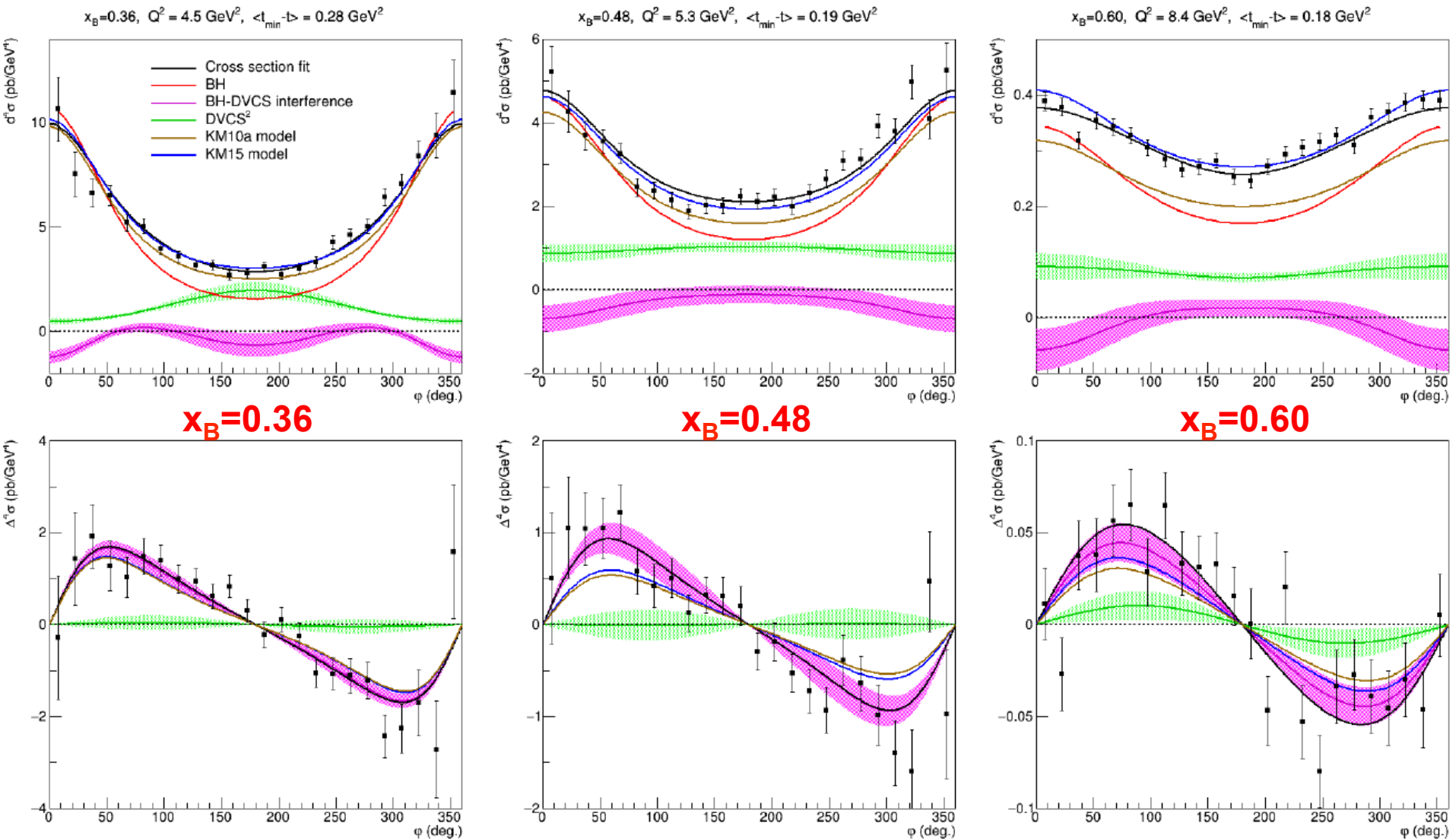
Factorization naturally lead to evolution equations for GPDs

Data: Just the beginning

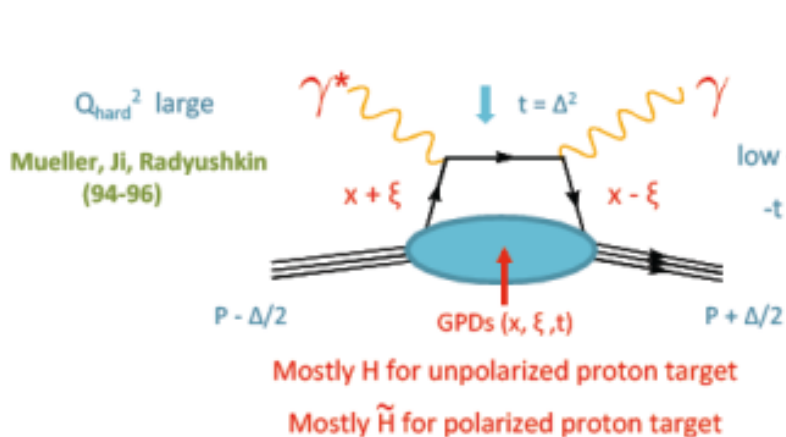


JLab E12-06-114 DVCS/Hall A Experiment at 11 GeV

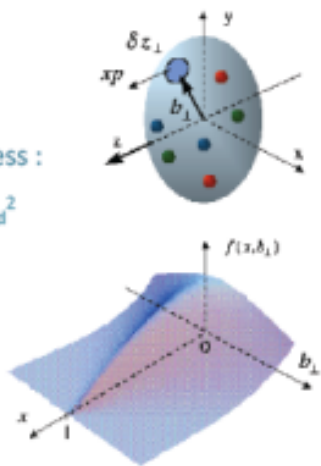
Sample of cross-section results:



JLab DVCS/Hall B Experiment at 11 GeV



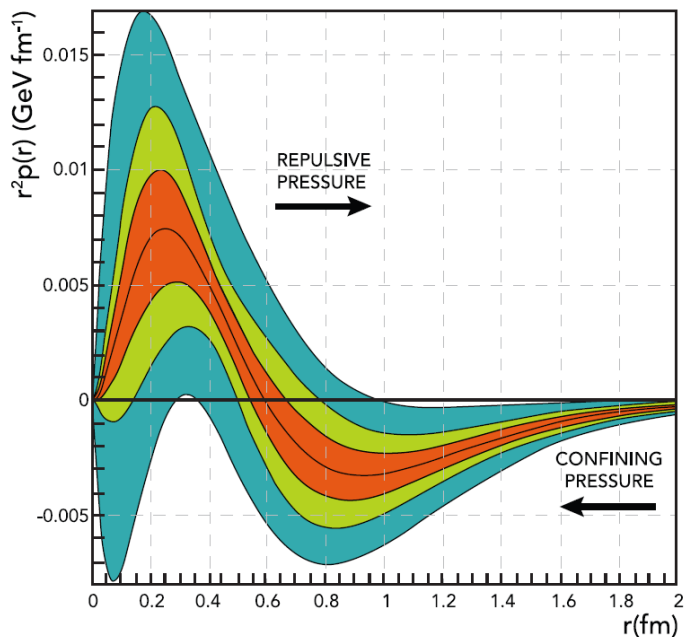
low $-t$ process :
 $-t \ll Q_{\text{hard}}^2$



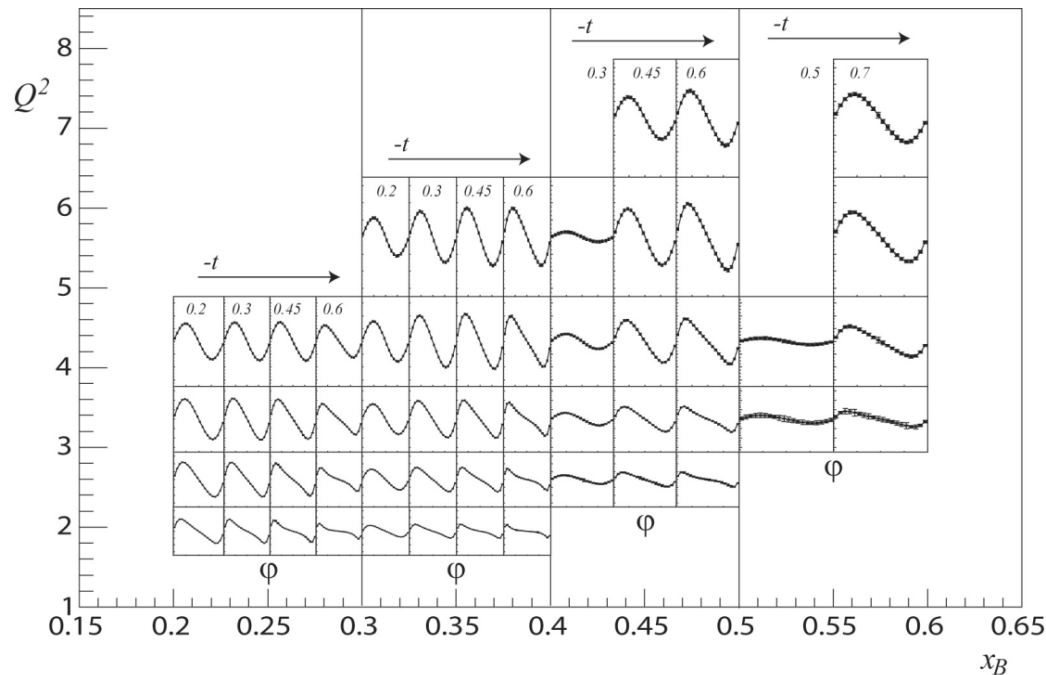
Hall A DVCS
scaling check
completed

Hall B DVCS on
H 50% complete

CLAS12 (projected)

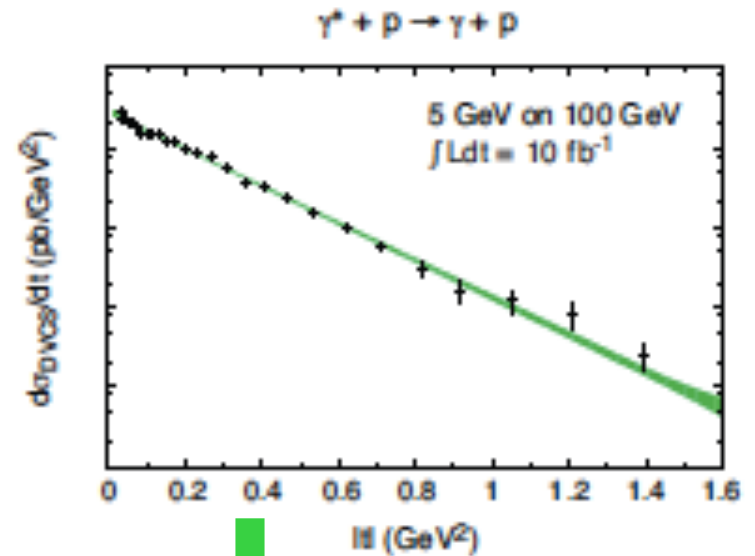
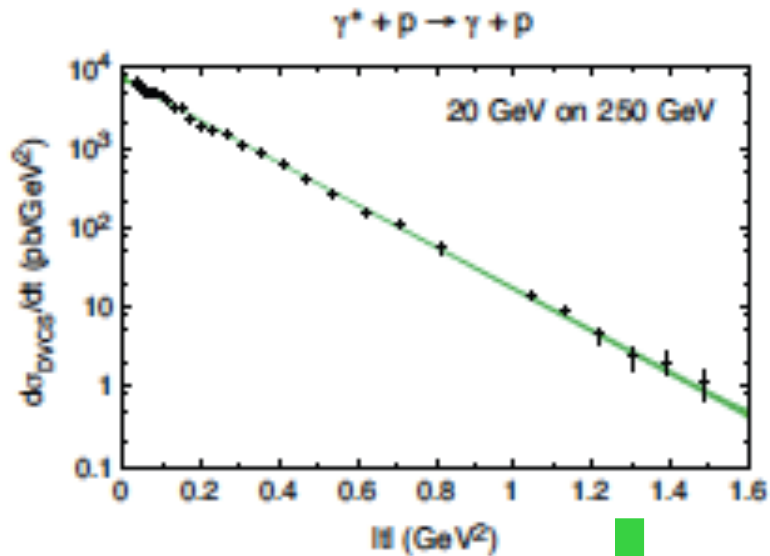


Nature **557**, 396-399 (2018)

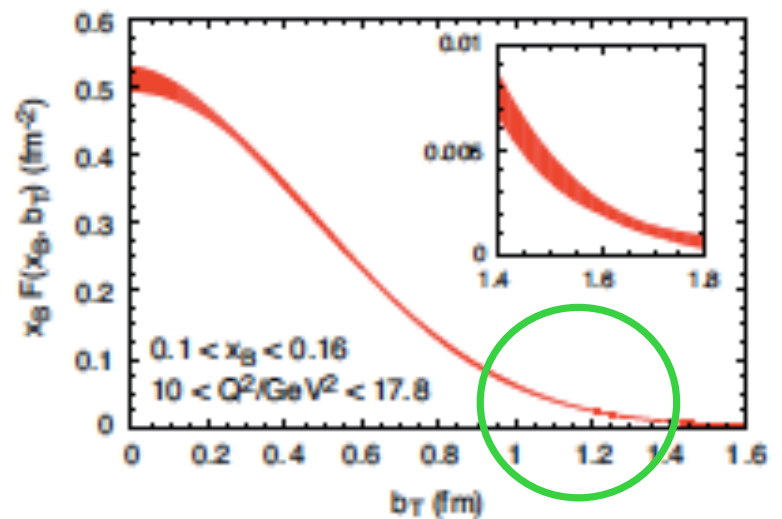
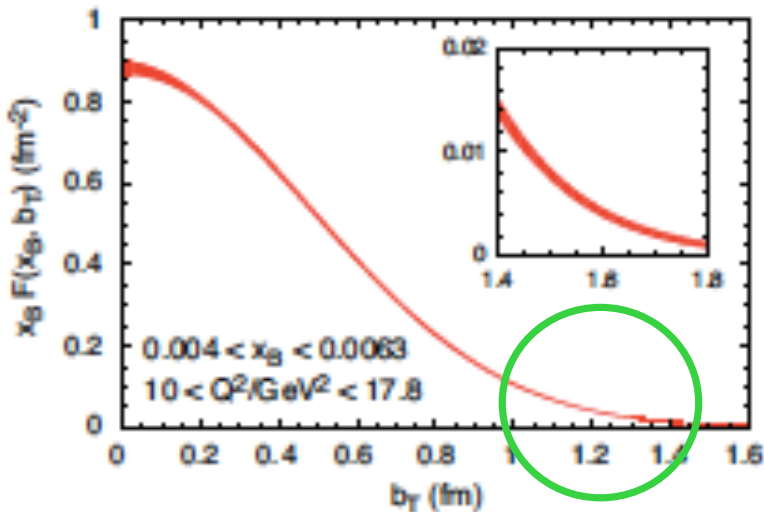


DVCS at future EIC (White Paper)

□ Cross Sections:

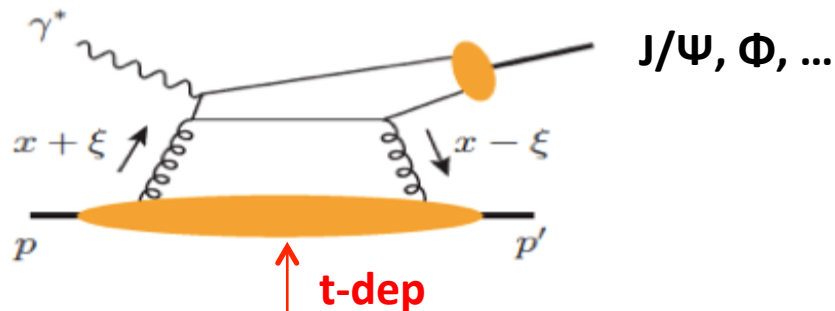


□ Spatial distributions:



Imaging the gluon (White Paper)

Exclusive vector meson production:



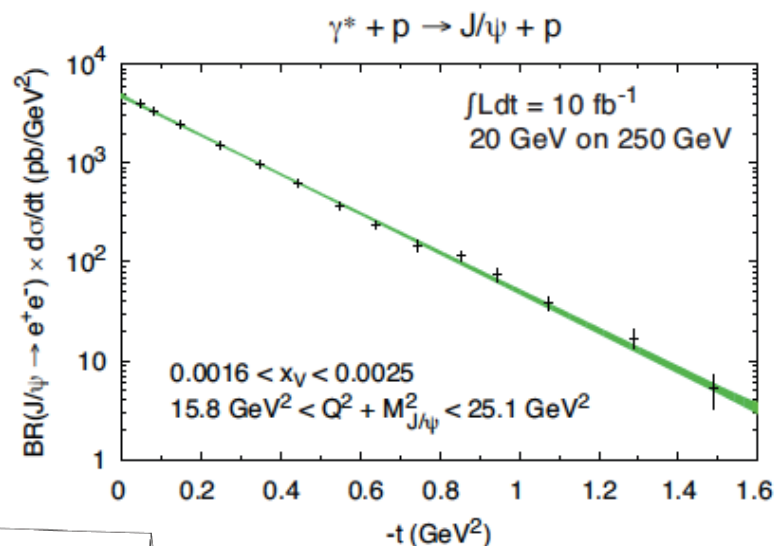
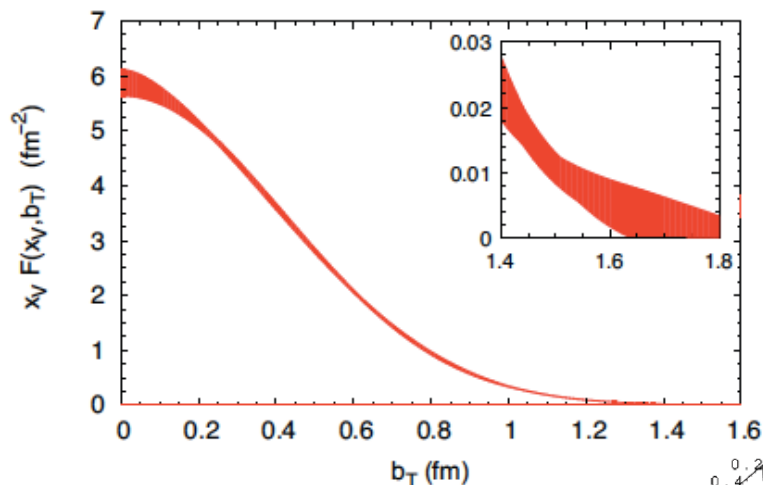
$$\frac{d\sigma}{dx_B dQ^2 dt}$$

Fourier transform of the t-dep

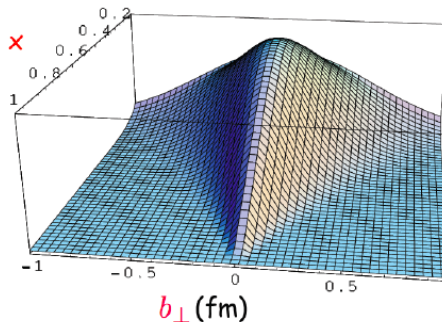
Spatial imaging of glue density

Resolution $\sim 1/Q$ or $1/M_Q$

Gluon imaging from simulation:



Only possible at the EIC
 Proton radius of glue (x)?

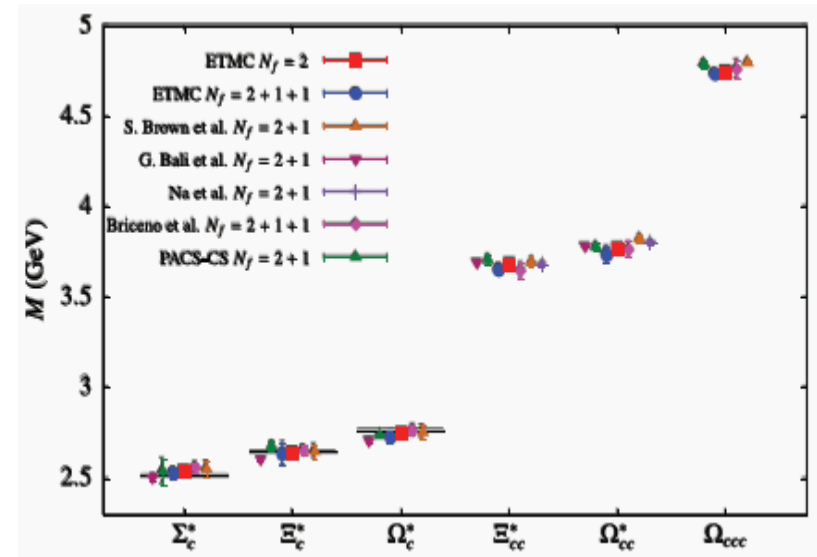
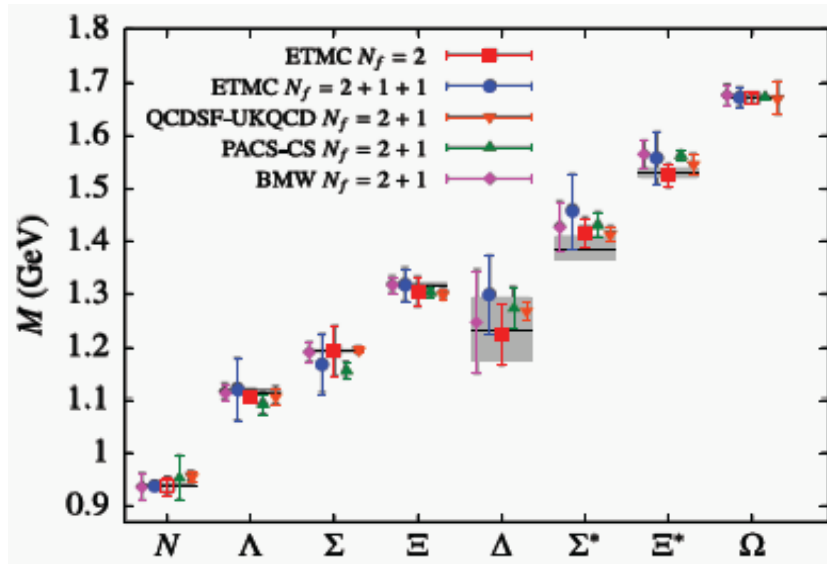


How spread
 at small- x ?
 Color confinement

Lattice QCD – ab initio Simulation of QCD

□ Baryon spectrum:

arXiv:1704.02647



Reproduction of light baryon masses:

- ✧ Agreement between lattice discretizations
- ✧ Reproduction of experimental results

Prediction of yet to be observed baryons

- ✧ Agreement between lattice schemes

□ Lattice “time” is Euclidean: $\tau = it$

*Lattice cannot calculate PDFs, TMDs, GPDs, ..., **directly**, whose operators are time-dependent!*

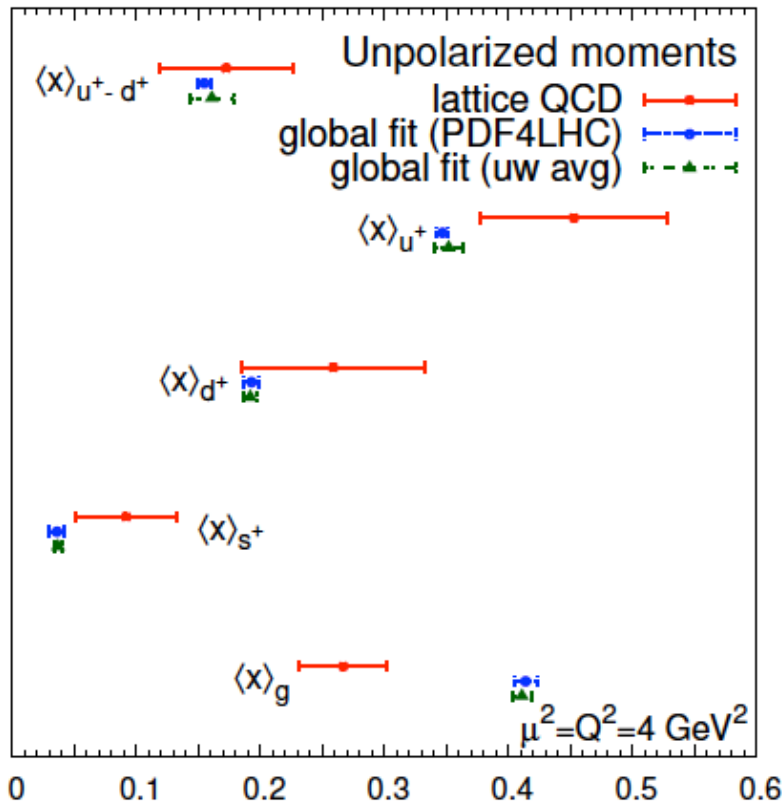
Lattice meets Phenomenology: Moments

□ Moments of PDFs – matrix elements of local operators:

$$\langle x^n(\mu^2) \rangle_q \equiv \int_0^1 dx x^n q(x, \mu^2)$$

$$q^\pm \equiv q \pm \bar{q} \quad \text{and} \quad \Delta q^\pm \equiv \Delta q \pm \Delta \bar{q}$$

□ Unpolarized:



Moment	Lattice QCD	Global Fit	PDF4LHC
$\langle x \rangle_{u^+ - d^+}$	0.119–0.226	0.161(18)	0.155(5)
$\langle x \rangle_{u^+}$	0.453(75) [†]	0.352(12)	0.347(5)
$\langle x \rangle_{d^+}$	0.259(74) [†]	0.192(6)	0.193(6)
$\langle x \rangle_{s^+}$	0.092(41) [†]	0.037(3)	0.036(6)
$\langle x \rangle_g$	0.267(35) [†]	0.411(8)	0.414(9)

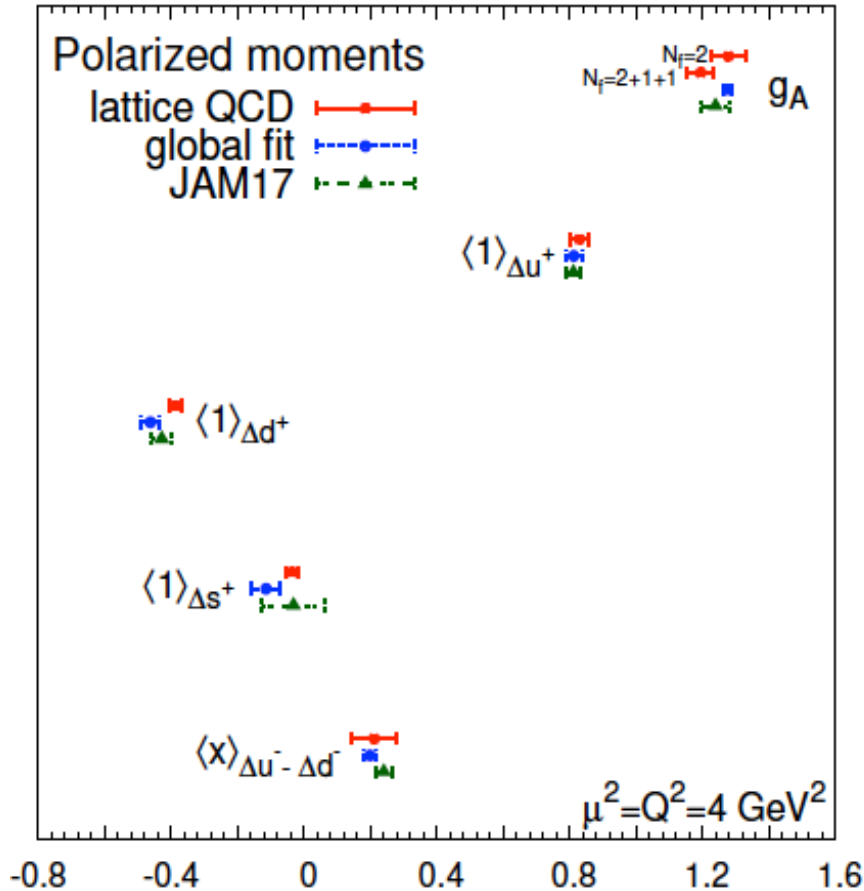
[†] Single lattice result [PRL 119 (2017) 142002].

$q^\pm = q \pm \bar{q}$, $q = u, d, s$; $Q = 2 \text{ GeV}$.

For details, see [Prog.Part.Nucl.Phys. 100 (2018) 107].

Lattice meets Phenomenology: Moments

Polrized:



Moment	Lattice QCD	Global Fit	JAM17
g_A	1.195(39)* 1.279(50)**	1.275(12)	1.240(41)
$\langle 1 \rangle_{\Delta u^+}$	0.830(26) [†]	0.813(25)	0.812(22)
$\langle 1 \rangle_{\Delta d^+}$	-0.386(17) [†]	-0.462(29)	-0.428(31)
$\langle 1 \rangle_{\Delta s^+}$	-0.052 -- -0.014	-0.114(43)	-0.038(96)
$\langle x \rangle_{\Delta u^- - \Delta d^-}$	0.146 -- 0.279	0.199(16)	0.241(26)

* $N_f = 2$.

** $N_f = 2 + 1 + 1$.

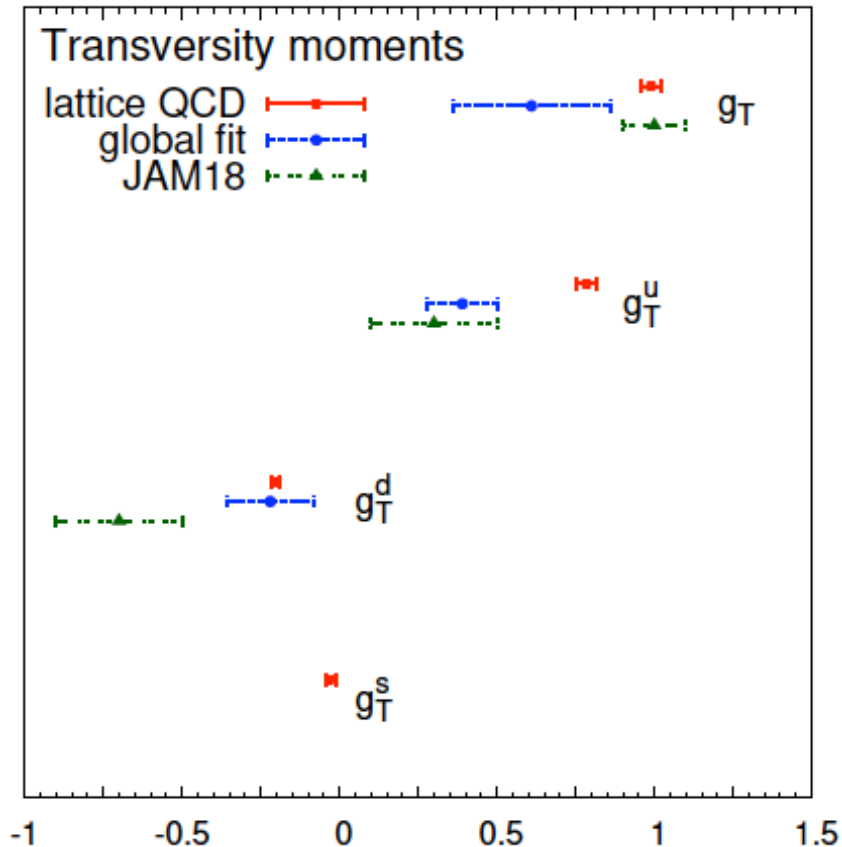
[†] Single lattice result [PRL 119 (2017) 142002].

$\Delta q^\pm = \Delta q \pm \Delta \bar{q}$, $q = u, d, s$; $Q = 2 \text{ GeV}$.

For details, see [Prog.Part.Nucl.Phys. 100 (2018) 107]

Lattice meets Phenomenology: Moments

□ Transversity:

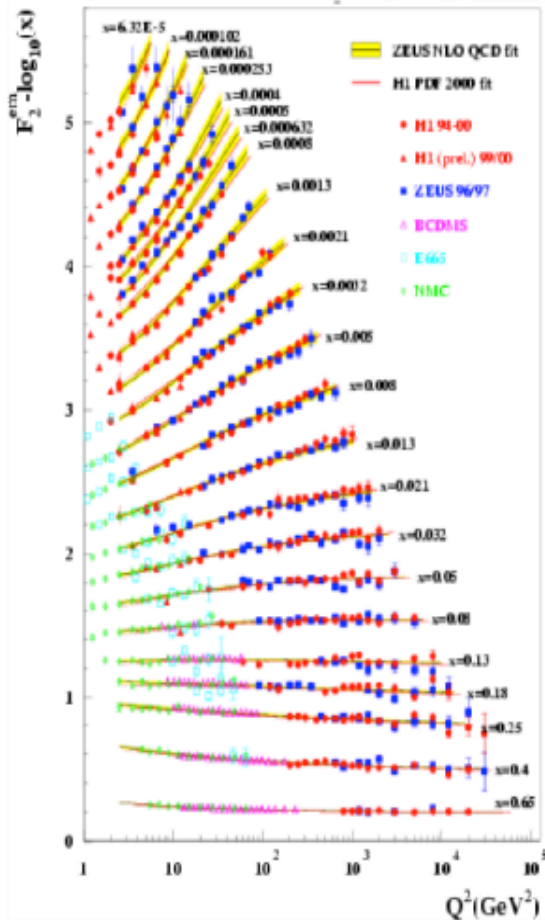


Moment	Lattice QCD	Global Fit	JAM18
g_T	0.989(32)(10)	0.61(25)	1.0(1)
g_T^u	0.784(28)(10)	0.39(11)	0.3(2)
g_T^d	-0.204(11)(1)	-0.22(14)	-0.7(2)
g_T^s	-0.027(16)	—	—

$q^+ = q + \bar{q}$, $q = u, d, s$; $Q = 2$ GeV.
Lattice results from the 2019 FLAG review.
Global fit [[PRD 93 \(2016\) 014009](#)]
JAM18 [[PRL 120 \(2018\) 152502](#)]

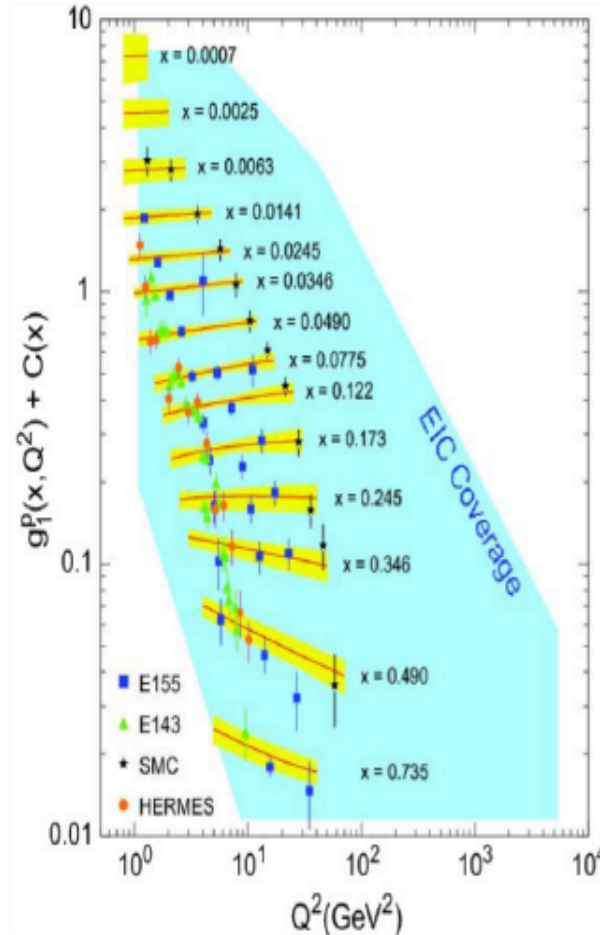
Lattice meets Phenomenology: Data accuracy

World data for F_2^p



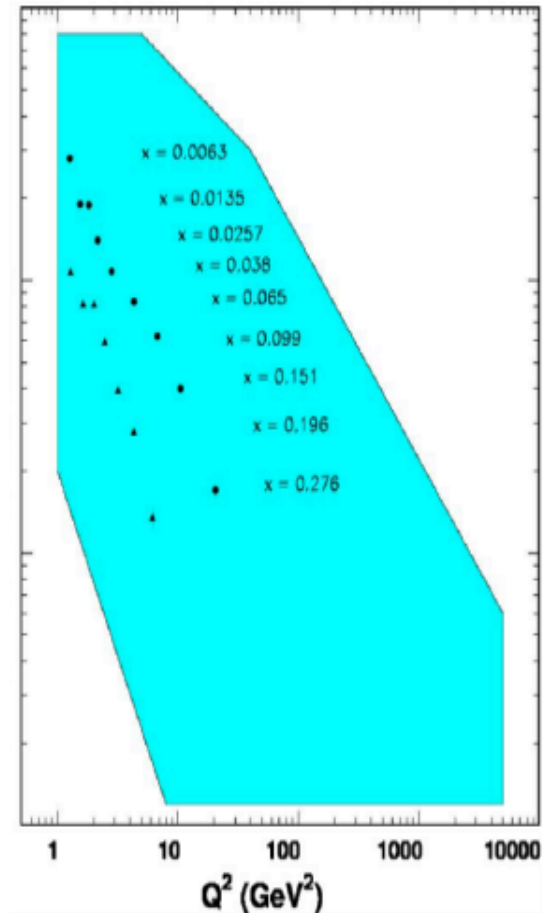
Fits of f
from **thousands** of data
CT, MMHT, NNPDF, ...

World data for g_1^p



Fits of Δf
from **hundreds** of data
DSSV, JAM, NNPDF, ...

World data for h_1



Fits of δf
from **tens** of data
Kang; Anselmino; Bacchetta

Lattice meets Phenomenology: PDFs

□ Quasi-PDFs:

$$\tilde{q}(\tilde{x}, \mu_R^2, P_z) \equiv \int \frac{d\xi_z}{4\pi} e^{-i\tilde{x}P_z\xi_z} \langle P | \bar{\psi}(\frac{\xi_z}{2}) \gamma_z \exp \left\{ -ig \int_0^{\xi_z} d\eta_z A_z(\eta_z) \right\} \psi(\frac{-\xi_z}{2}) | P \rangle$$

Ji, arXiv:1305.1539

Idea – Large Momentum Effective Theory (LaMET):

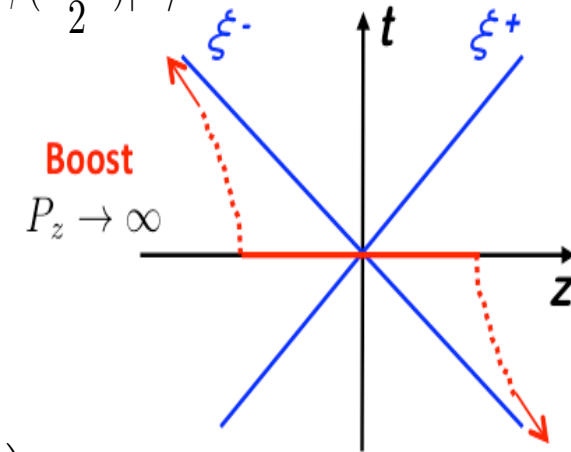
Quasi-PDFs are not boost invariant.

$$\tilde{q}(\tilde{x}, \mu_R^2, P_z) \longrightarrow q(x, \mu^2) \quad \text{when } P_z \rightarrow \infty$$

Note: In Lattice QCD calculation, difficult to take $P_z \rightarrow \infty$ limit

Proposed matching:

$$\tilde{q}(x, \mu^2, P_z) = \int_x^1 \frac{dy}{y} Z \left(\frac{x}{y}, \frac{\mu}{P_z} \right) q(y, \mu^2) + \mathcal{O} \left(\frac{\Lambda^2}{P_z^2}, \frac{M^2}{P_z^2} \right)$$



Ma, Qiu arXiv:1404.6860

Lattice meets Phenomenology: PDFs

Quasi-PDFs:

$$\tilde{q}(\tilde{x}, \mu_R^2, P_z) \equiv \int \frac{d\xi_z}{4\pi} e^{-i\tilde{x}P_z\xi_z} \langle P | \bar{\psi}(\frac{\xi_z}{2}) \gamma_z \exp \left\{ -ig \int_0^{\xi_z} d\eta_z A_z(\eta_z) \right\} \psi(\frac{-\xi_z}{2}) | P \rangle$$

Ji, arXiv:1305.1539

Idea – Large Momentum Effective Theory (LaMET):

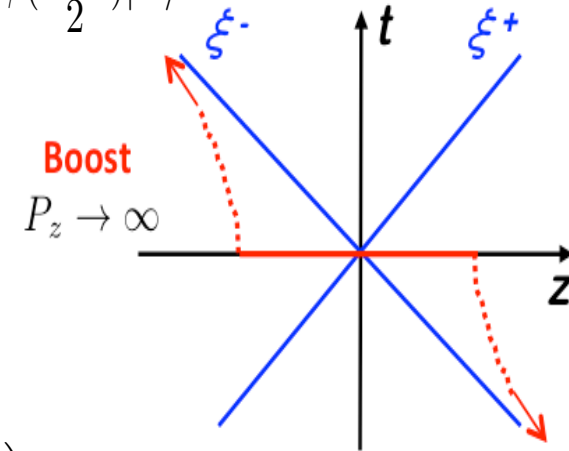
Quasi-PDFs are not boost invariant.

$$\tilde{q}(\tilde{x}, \mu_R^2, P_z) \longrightarrow q(x, \mu^2) \quad \text{when } P_z \rightarrow \infty$$

Note: In Lattice QCD calculation, difficult to take $P_z \rightarrow \infty$ limit

Proposed matching:

$$\tilde{q}(x, \mu^2, P_z) = \int_x^1 \frac{dy}{y} Z\left(\frac{x}{y}, \frac{\mu}{P_z}\right) q(y, \mu^2) + \mathcal{O}\left(\frac{\Lambda^2}{P_z^2}, \frac{M^2}{P_z^2}\right)$$



Ma, Qiu arXiv:1404.6860

Pseudo-PDFs:

A. Radyushkin, arXiv:1705.01488

✧ Lattice calculation with $\alpha = 0$:

$$\mathcal{M}^\alpha(\nu = p \cdot \xi, \xi^2) \equiv \langle p | \bar{\psi}(0) \gamma^\alpha \Phi_v(0, \xi, v \cdot A) \psi(\xi) | p \rangle \quad \text{with } \xi^2 < 0$$

Fourier transform of ν

$$\equiv 2p^\alpha \mathcal{M}_p(\nu, \xi^2) + \xi^\alpha (p^2/\nu) \mathcal{M}_\xi(\nu, \xi^2) \approx 2p^\alpha \mathcal{M}_p(\nu, \xi^2)$$

$$\mathcal{P}(x, \xi^2) \equiv \int \frac{d\nu}{2\pi} e^{ix\nu} \mathcal{M}_{p=p^0}(\nu, \xi^2) / \mathcal{M}_{p=p^0}(0, \xi^2)$$

✧ **Off-light-cone extension of PDFs:** $f(x) = \mathcal{P}(x, \xi^2 = 0)$ with $\xi^\mu = (0^+, \xi^-, 0_\perp)$

LQCD/PQCD – hadron/nuclear structure

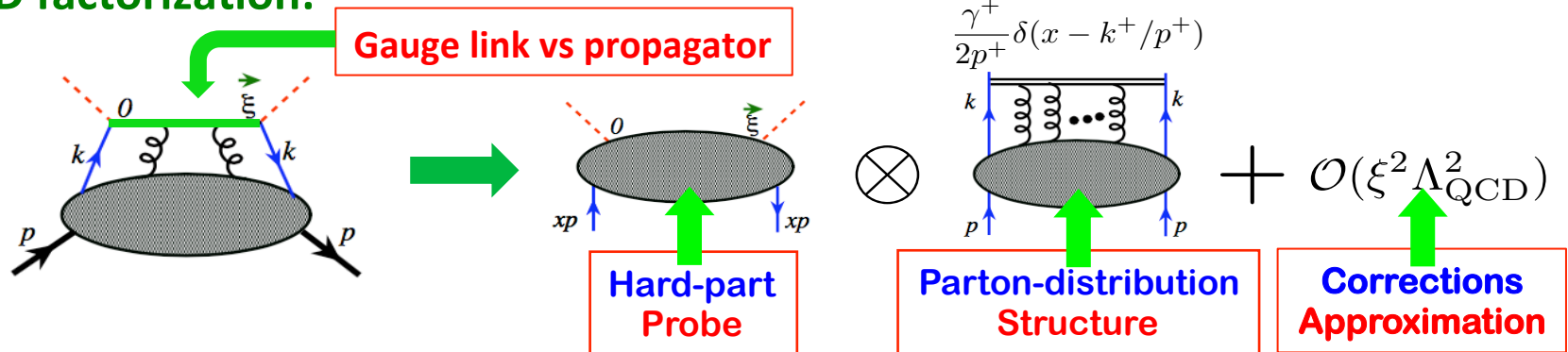
Ma and Qiu, arXiv:1404.6860

□ Good lattice cross sections:

$$\sigma_n(\omega, \xi^2, P^2) = \langle P | T \{ \mathcal{O}_n(\xi) \} | P \rangle \quad \text{with } \omega \equiv P \cdot \xi, \xi^2 \neq 0, \text{ and } \xi_0 = 0; \quad \text{and}$$

- 1) can be calculated in lattice QCD with precision, has a well-defined continuum limit (UV+IR safe perturbatively), and
- 2) can be factorized into universal matrix elements of quarks and gluons *with controllable approximation* $P \rightarrow \sqrt{s}$ and $\xi \rightarrow 1/Q$ define collision kinematics

□ QCD factorization:



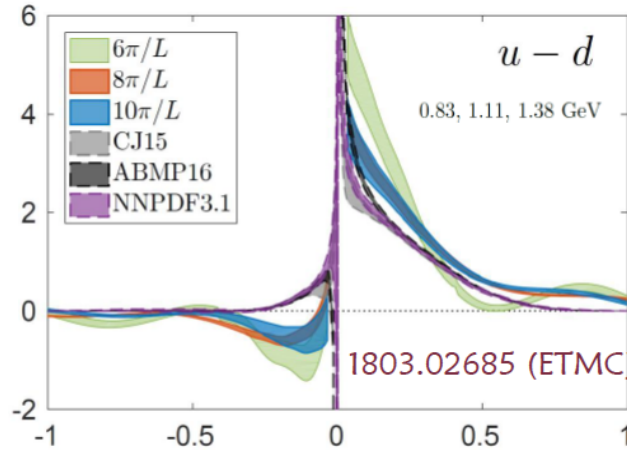
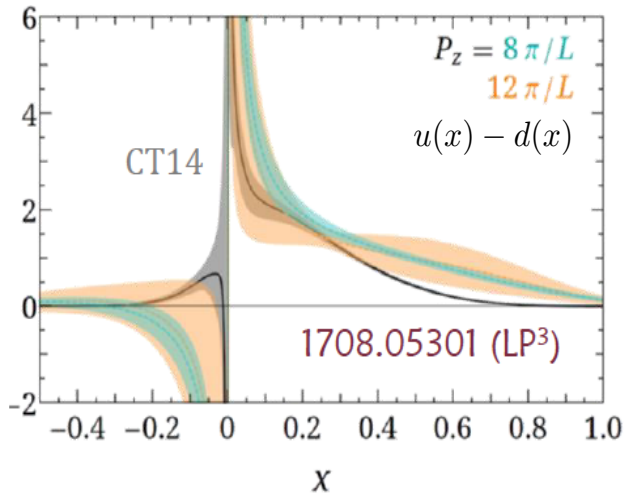
□ Tremendous potentials:

- Access to large-x region, ...*
- Neutron PDFs, ... (no free neutron target!)*
- Meson PDFs, such as pion, kaon, ...*
- More direct access to parton flavor, ...*

➔ *1st LQCD calculation of pion valence PDFs!*

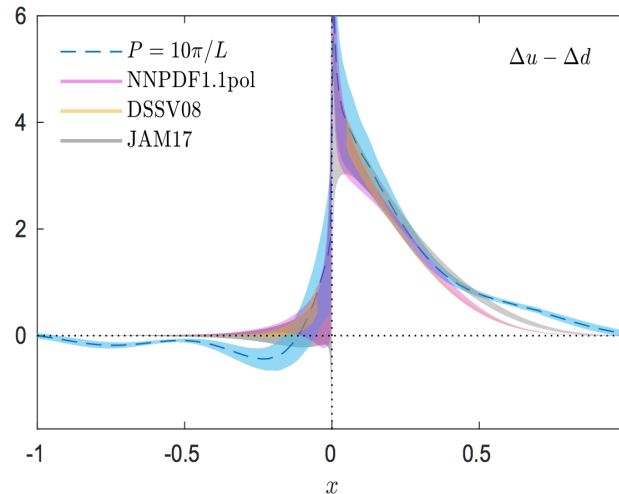
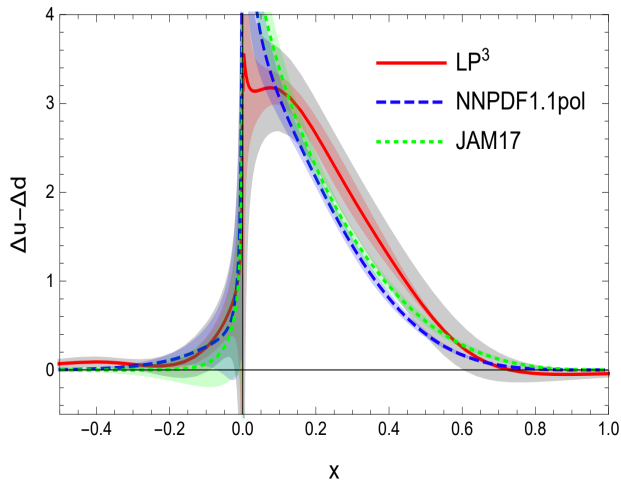
Lattice QCD calculated PDFs – Quasi-PDFs approach

- Unpolarized: Both LP3 and ETMC obtained their results at physical pion



One-loop
 matching
 Target mass
 corrections

- Helicity distributions:



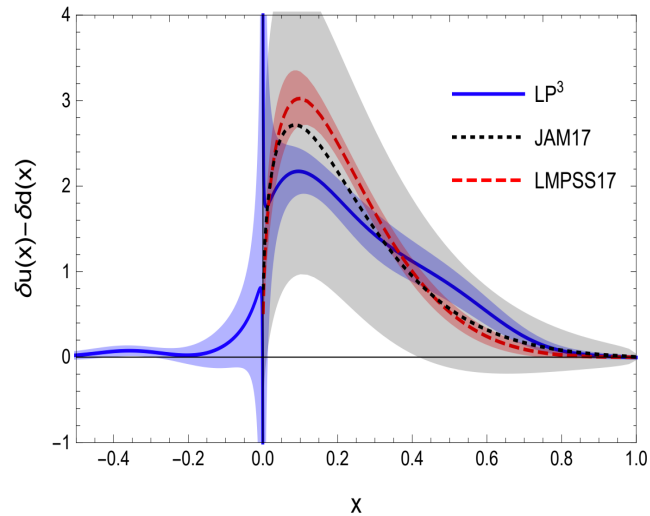
See also talk by Lin

[H.-W. Lin et al. (LP³), PRL 121 (2018) 242003]

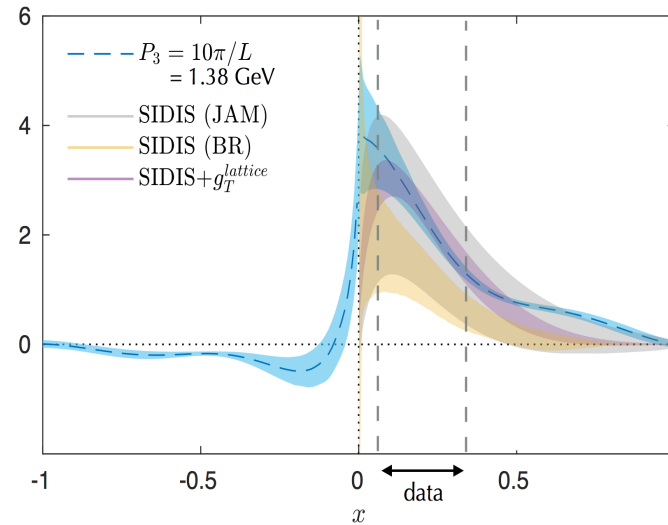
[C. Alexandrou et al. (ETMC), PRL 121 (2018) 112001]

Lattice QCD calculated PDFs – Quasi-PDFs approach

□ Transversity distribution:



[Y.-S. Liu et al. (LP3), arXiv:1807.00232]



[C. Alexandrou et al. (ETMC), arXiv:1807.00232]

One-loop
matching
Target mass
corrections

See also talk by Lin

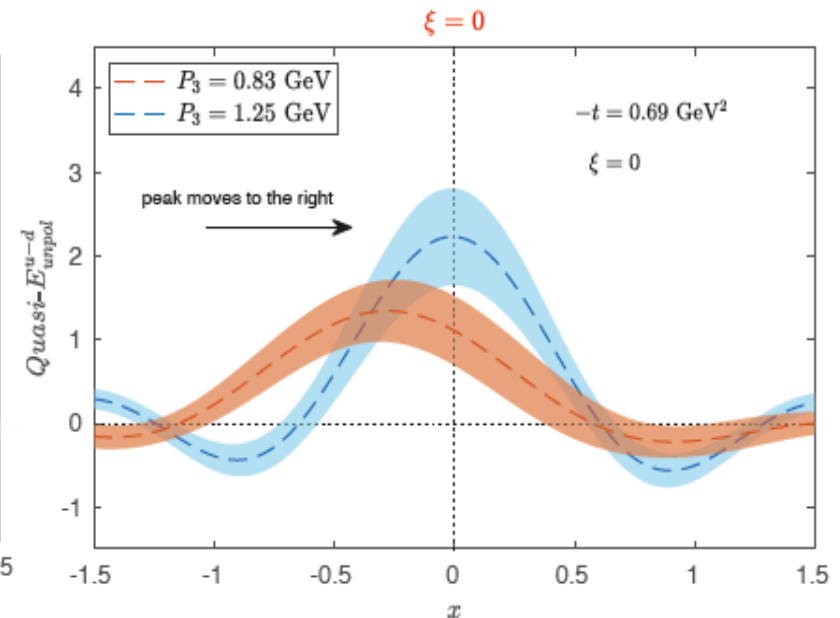
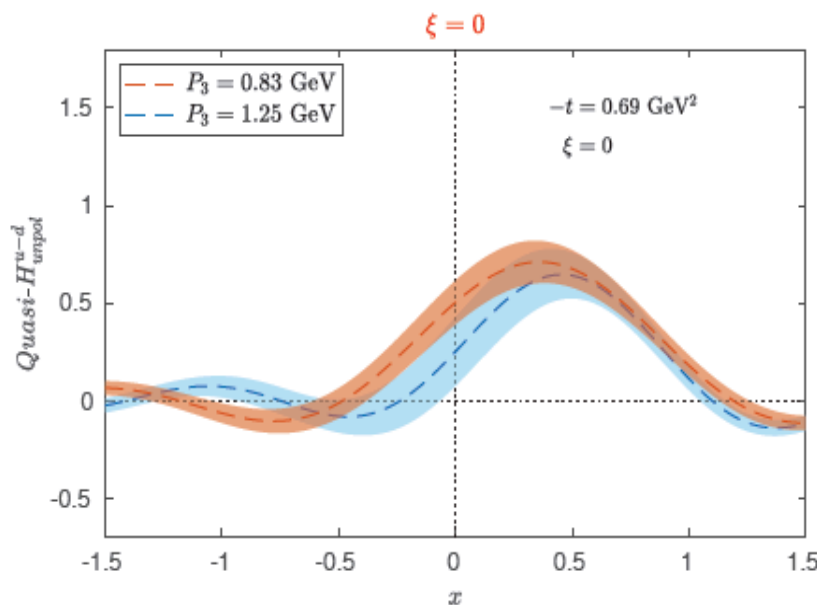
Lattice QCD calculation of GPDs – Quasi-PDFs approach

Unpolarized quasi-GPDs

Scapeliato
@EINN2019

Upon Fourier transform

$$\tilde{q}^{GPD} = \frac{2P_3}{4\pi} \sum_{z=-z_{\max}}^{z=z_{\max}} e^{-ixP_3z} ME^{GPD}(z, t, \xi)$$



- Quasi-H and -E affected differently on the momentum boost
 - ▶ quasi-H is compatible within errors
 - ▶ quasi-E becomes symmetric in x (larger momenta will shed light on the behavior of the quasi- E)

Still non-physical results,
matching is needed

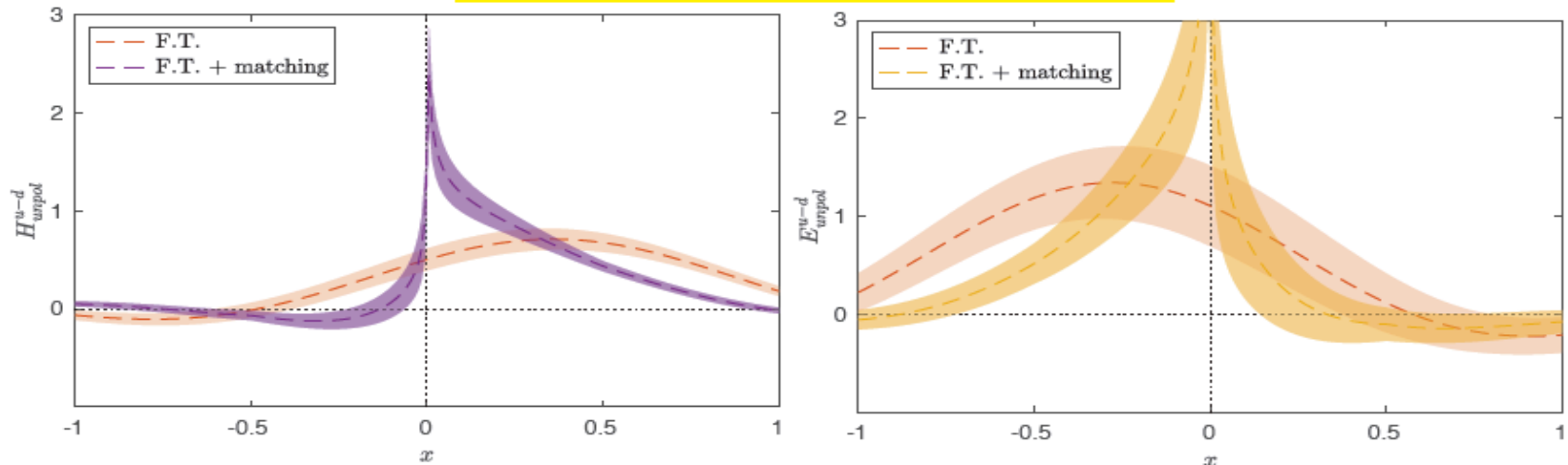
Lattice QCD calculation of GPDs – Quasi-PDFs approach

Matching effect on the GPDs

Scapeliato
@EINN2019

- We apply the $\text{RI} \rightarrow \overline{\text{MS}}$ matching [Y-S Liu et al., Phys.Rev. D100 (2019) no.3, 034006]

$$P_3 = 0.83 \text{ GeV}, -t = 0.69 \text{ GeV}^2, \xi = 0$$



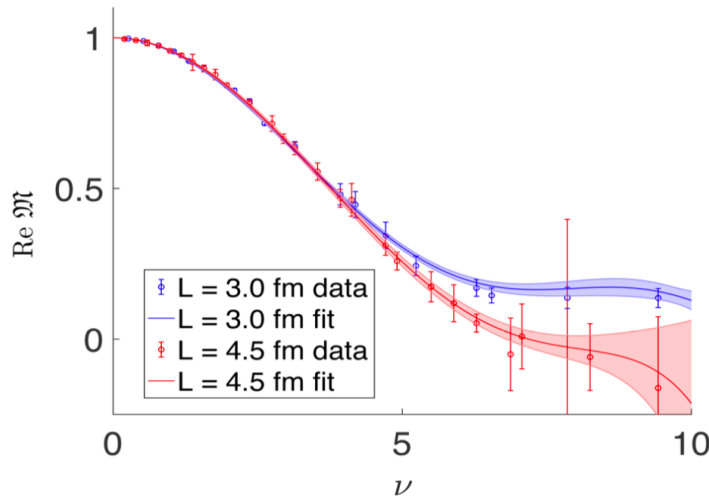
- Matching affects both H and E largely

Lattice QCD calculated PDFs – Pseudo-PDFs approach

Volume effect:

[B. Joo et al. (JLab-W&M), arXiv:1908.09771]

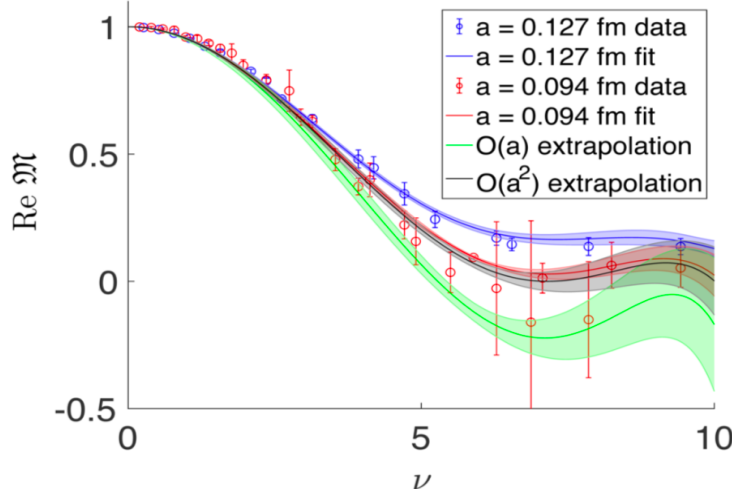
See talk by Rudyshkin



$a(\text{fm})$	$M_\pi(\text{MeV})$	$L^3 \times T$
0.127(2)	415(23)	$24^3 \times 64$
0.127(2)	415(23)	$32^3 \times 96$
0.094(1)	390(71)	$32^3 \times 64$

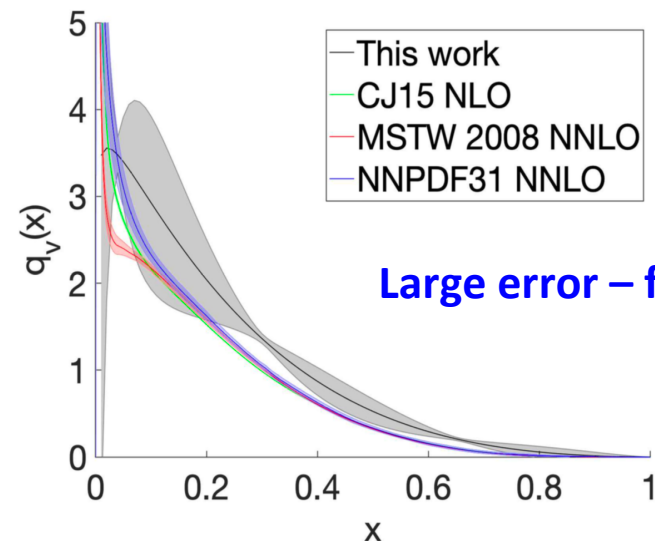
$N_f=2+1$ clover fermions
(3 ensembles):

Discretization effect:



Too strong “L” & “a” dependence
– limited the range of ν !

Extract/fit PDF from lattice data with a functional form similar to CJ and MSTW



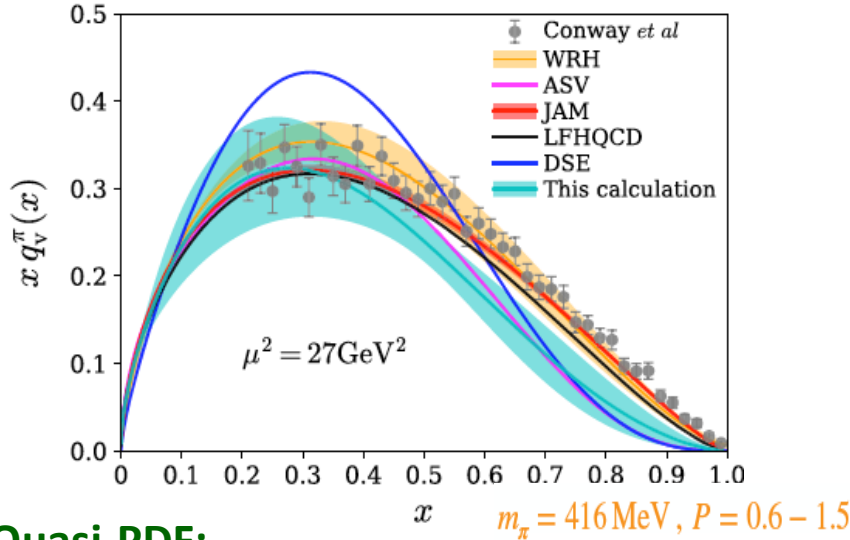
Large error – few data

Challenges due to lattice limitation
Results are encouraging!

Lattice QCD calculated pion distribution

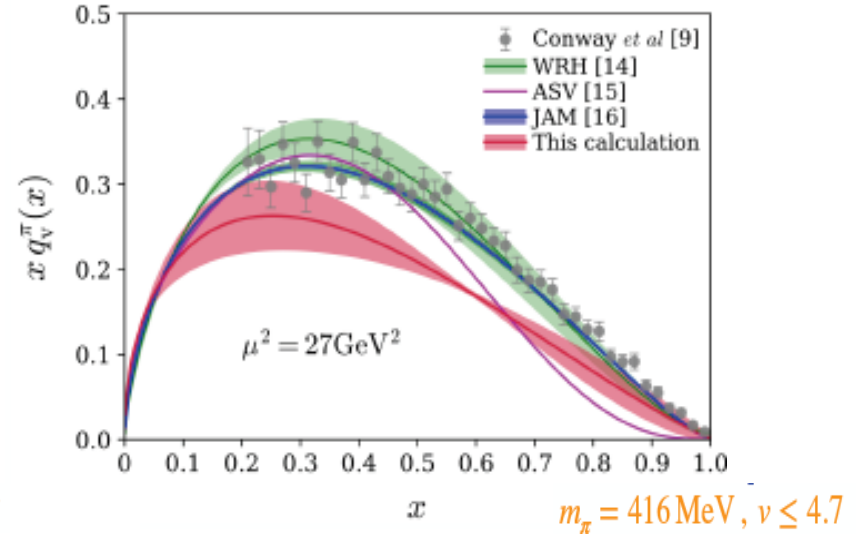
“Lattice cross section”:

[R. Sufian et al. (JLab - W&M), Phys. Rev. D 99 (2019) 074507]



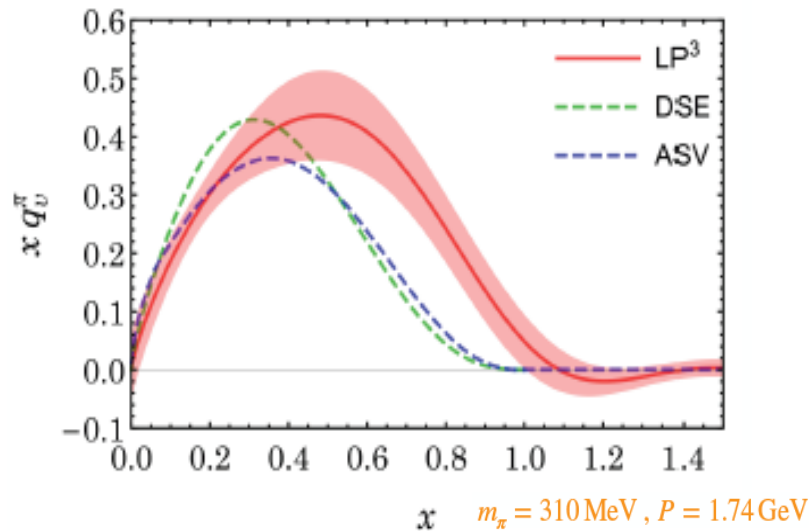
Pseudo-PDF:

[B. Joo et al. (JLab-W&M), arXiv:1909.08517]

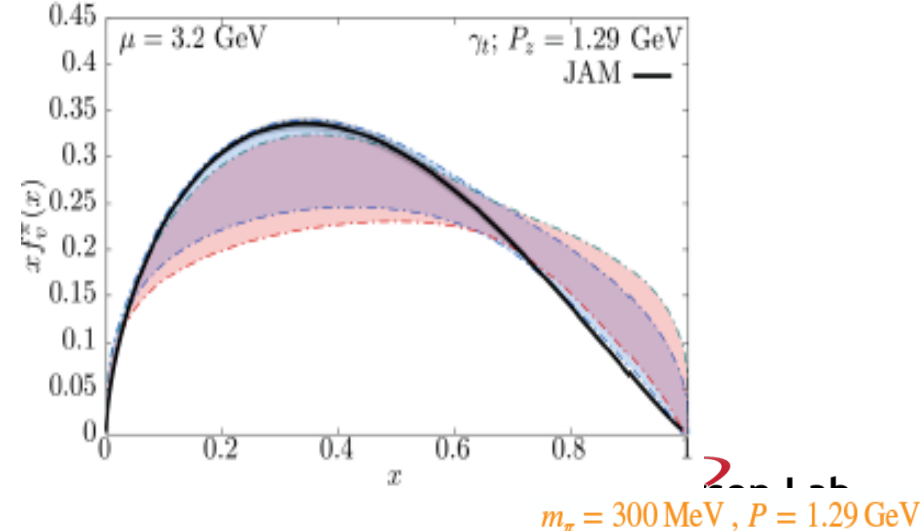


Quasi-PDF:

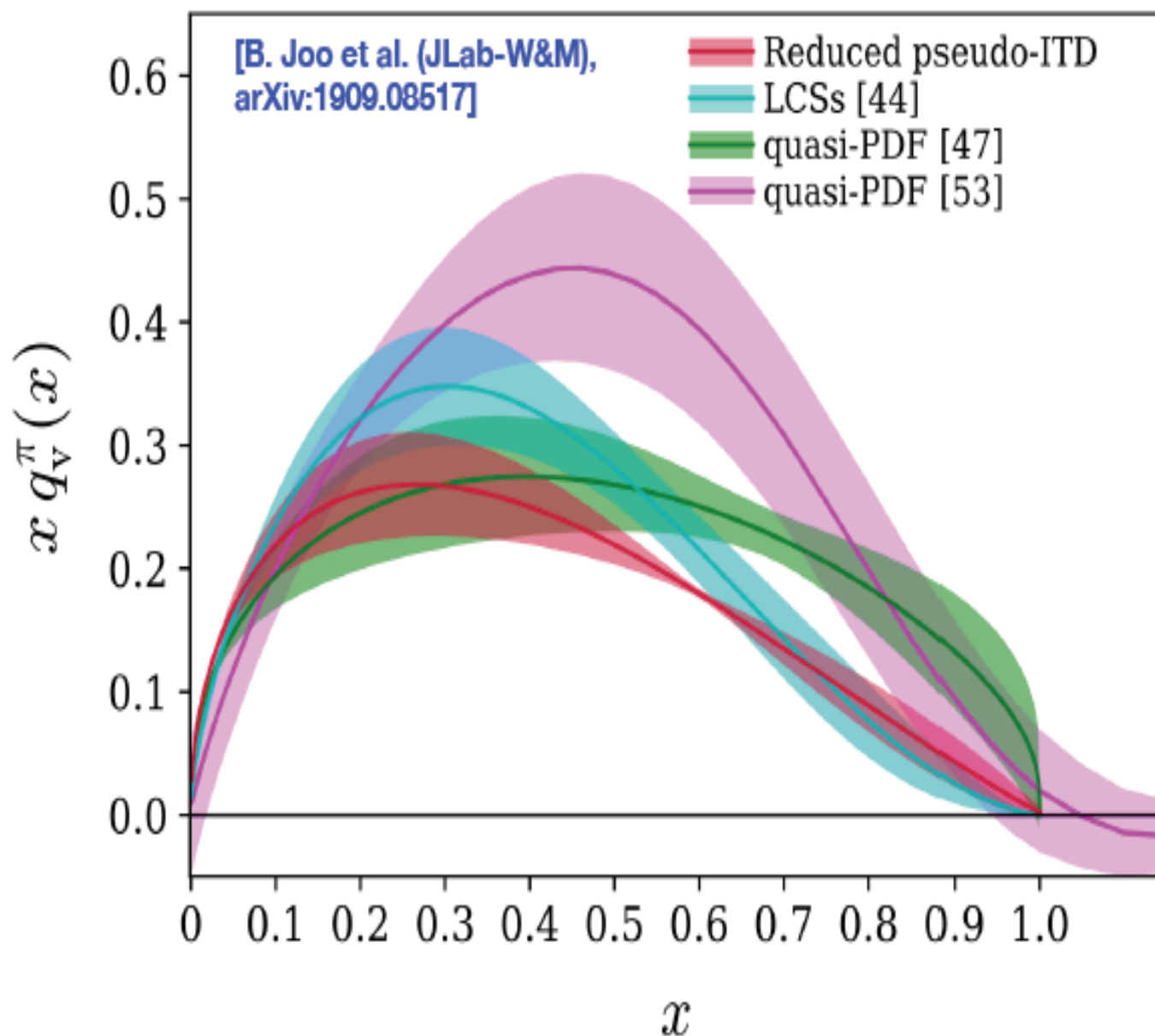
[J.-H. Zhang et al. (LP3), Phys. Rev. D 100, 034505 (2019)]



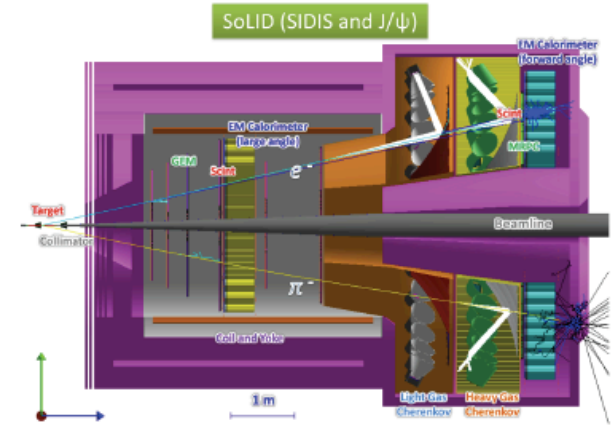
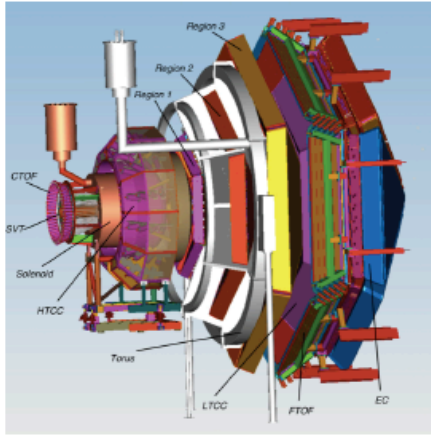
[T. Izubuchi et al. (BNL-SBU-UConn), Phys. Rev. D 100, 034516 (2019)]



Lattice QCD calculated pion distribution



From JLab12 to EIC:



DVCS

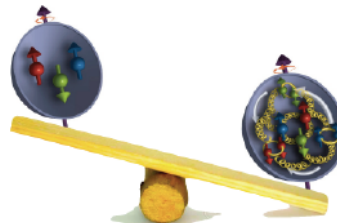
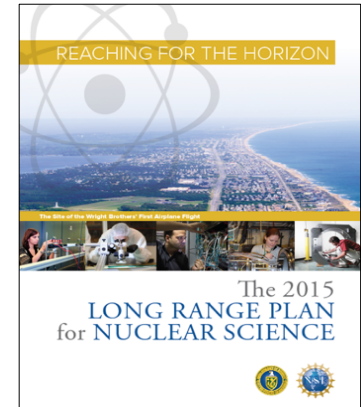
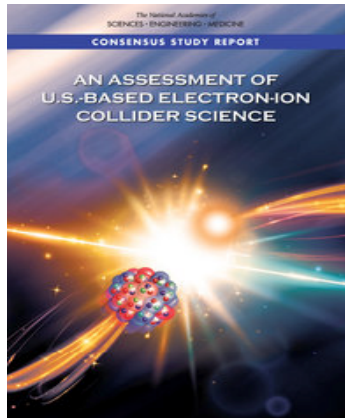
Lattice QCD

SIDIS

Imaging the Quarks

Electron-Ion Collider

Imaging the Gluons



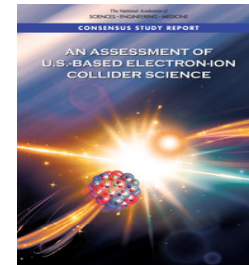
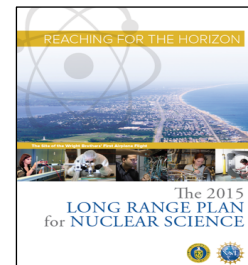
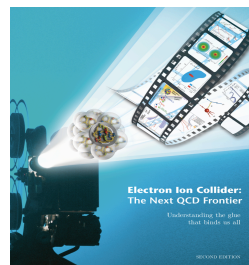
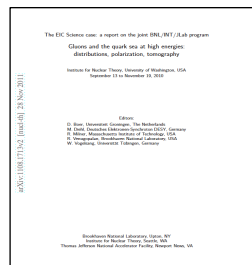
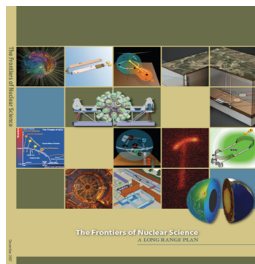
*Understand the glue that binds us all:
The Next QCD Frontier in Nuclear Physics*



The future for Strong QCD

□ Electron-Ion Collider: the best future facility for Strong QCD:

See talk by Milner



“... answer science questions that are compelling, fundamental, and timely, and help maintain U.S. scientific leadership in nuclear physics.”

... three profound questions:

How does the mass of the nucleon arise?

How does the spin of the nucleon arise?

What are the emergent properties of dense systems of gluons?

Explore the emergent phenomena of QCD – the Strong QCD!

Starting at JLab12, ...

What EIC can do, but, HERA & other colliders cannot do?

□ Why is so special about the Lepton-Hadron Collider?

Hit the proton with a well-controlled hard probe without breaking it!

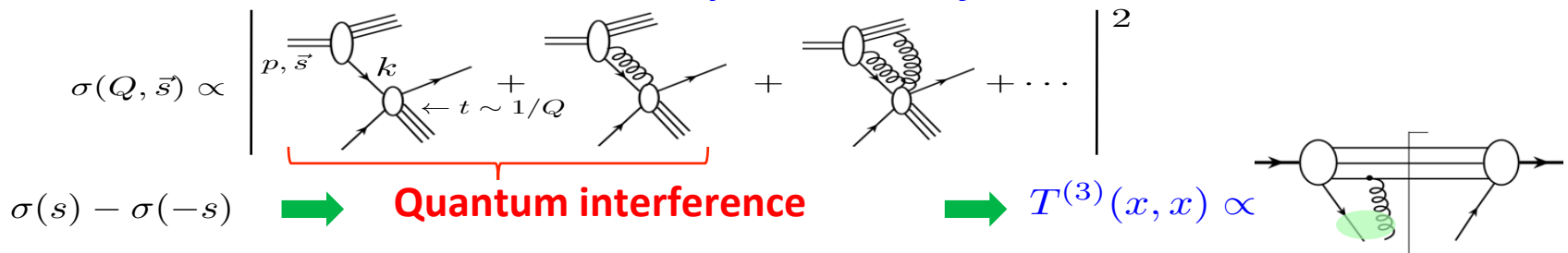
□ Quantum imaging:

- ✧ HERA discovered: 15% of e-p events is diffractive – Proton not broken!
- ✧ US-EIC: 100-1000 times **luminosity** – *Critical for 3D tomography!*

□ Quantum interference & entanglement – dual role of hadron spin:

- ✧ US-EIC: Highly **polarized** beams – *Origin of hadron property: Spin, ...*

Direct access to chromo-quantum interference!



□ Nonlinear quantum dynamics – dual role of nuclei:

- ✧ US-EIC: Light-to-heavy **nuclear** beams – *Origin of nuclear force, ...*
Catch the transition from chromo-quantum fluctuation to chromo-condensate of gluons, ...

Emergence of hadrons (femtometer size detector!),

– “a new controllable knob” – Atomic weight of nuclei

Summary and outlook

- ❑ QCD at the Fermi-Scale is the most interesting, rich, and complex, but mysterious and challenging regime of the theory
- ❑ QCD needs the lepton-hadron facility:
 - ✧ Theory advances – controlled two-scale observables
 - ✧ Lattice QCD is now able to meet with phenomenology
 - ✧ Technology and Facility advances – JLab 12 to EIC
 - ✧ New emergent science – Nuclear femtography
- ❑ EIC is a ultimate QCD machine, could study major Nuclear Science issues that other existing facilities, even with upgrades, cannot do
- ❑ US-EIC is sitting at a sweet spot for the rich QCD dynamics – capable of exploring the science of nuclear femtography!
- ❑ It is a new era for the Strong QCD – QCD at the Fermi-Scale

Also facilities from other countries

Thanks!