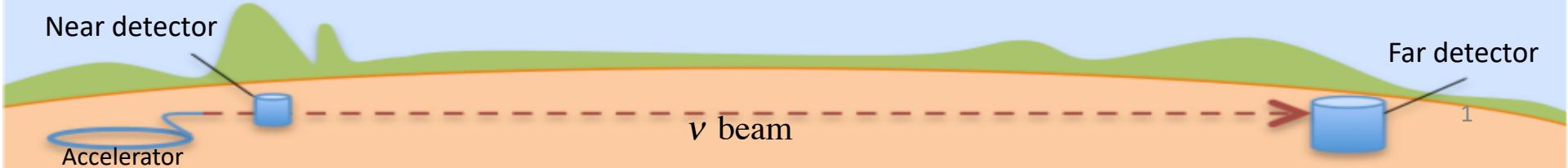


# Update: Studies of neutrino energy reconstruction using electron scattering data

Mariana Khachtryan - ODU

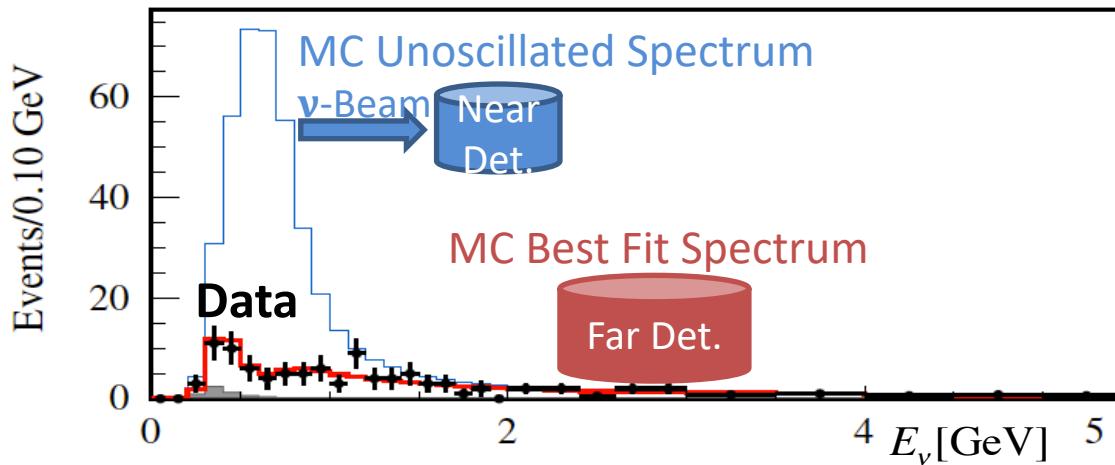


# Outline

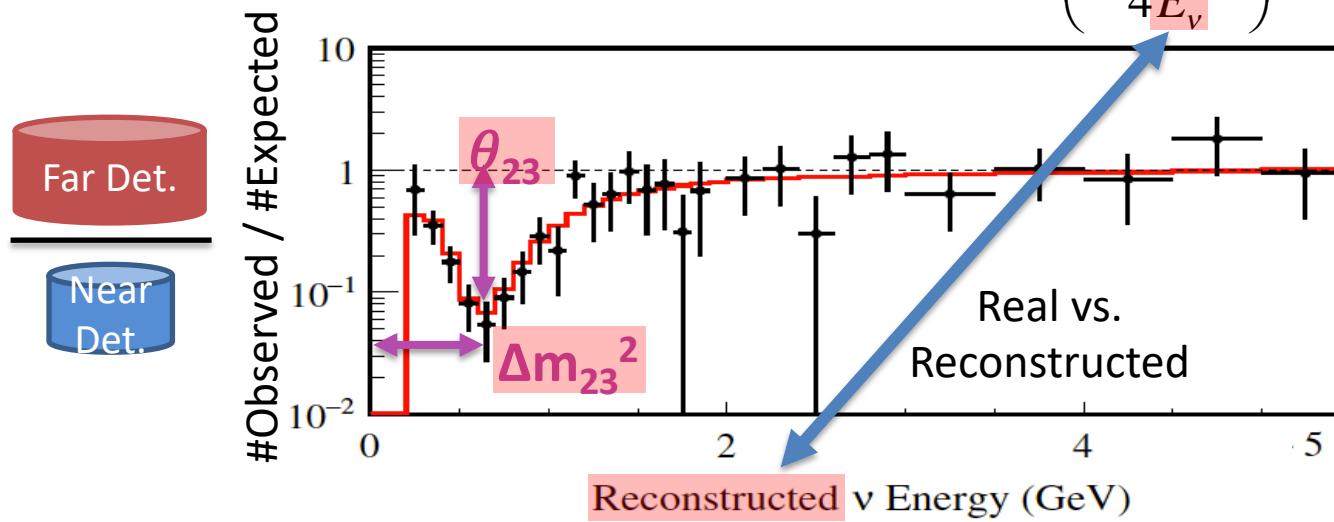
1. Introduction.
2. March 2019 status:
  - Analysis review ongoing.
  - Looked at  $(e, e')$ ,  $(e, e'p)$  events with zero detected pions and photons.
  - Reconstructed energies  $E_{\text{Cal}}$ ,  $E_{\text{QE}}$ .
  - Subtraction for undetected  $\pi^+$ ,  $\pi^-$  and extra p complete.
  - Started subtraction for undetected  $\gamma$ .
3. Status today:
  - Completed subtraction for undetected  $\pi^+$ ,  $\pi^-$ ,  $\gamma$  and extra p.
  - Modified  $e^-$  momentum correction.
  - Analyzed the 1.1 GeV e2a data.
  - Determined binding energy values for  $E_{\text{Rec}}$  calculations.

# (Long Baseline) Oscillation Challenge

T2K experiment L=295km



$$P(\nu_\mu \rightarrow \nu_\mu) = \sin^2(2\theta_{23}) \times \sin^2\left(\frac{\Delta m_{32}^2 L}{4E_\nu}\right)$$



# Energy Reconstruction for QE reactions

## (1) Cherenkov detectors:

- Detect: leptons & pions
- Miss: protons and neutrons

## (2) Tracking detectors:

- Detect: Charged particles +  $\pi^0$
- Miss: Neutrons and charged particles below threshold.

Use Lepton kinematics  
Assuming QE interaction

$$E_{QE} = \frac{2M\varepsilon + 2ME_l - m_l^2}{2(M - E_l + |k_l| \cos(\theta_l))}$$

$\varepsilon$ -single nucleon separation energy

M- nucleon mass

$m_l$  – outgoing lepton mass

$k_l, E_l$  -lepton three momentum, energy

$\theta_l$ -lepton scattering angle

Use Final-State Calorimetry  
Assuming low residual excitations

$$E_{Cal} = E_l + \sum T_p + \varepsilon + \sum E_\pi$$

$T_p$ -kinetic energy of knock out proton  
 $E_\pi$ -energy of produced meson

# E2a experiment

Targets:

CLAS:  ${}^3\text{He}$ ,  ${}^4\text{He}$ ,  ${}^{12}\text{C}$ ,  ${}^{56}\text{Fe}$

T2K: CH,  $\text{H}_2\text{O}$

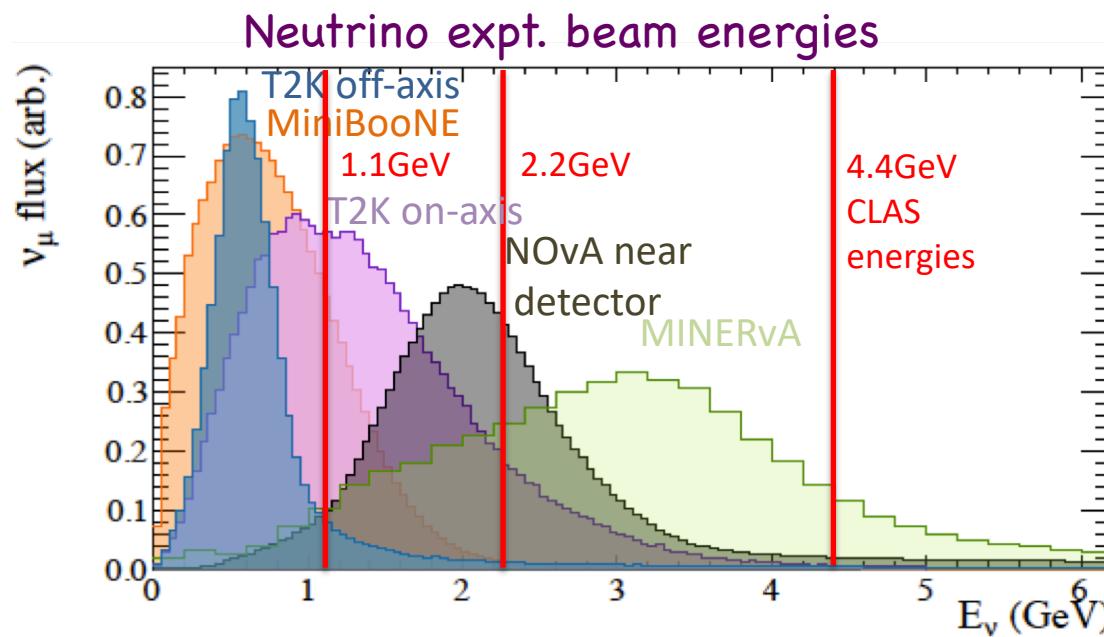
Minerva:  ${}^3\text{He}$ ,  ${}^4\text{He}$ , C, Fe,  $\text{H}_2\text{O}$

Microboone: Ar

Miniboone: mineral oil (C, H, O)

Nova:  $\text{C}_6\text{H}_3(\text{CH}_3)_3$

DUNE: Ar



# QE Event Selection

As close to QE as one can get:

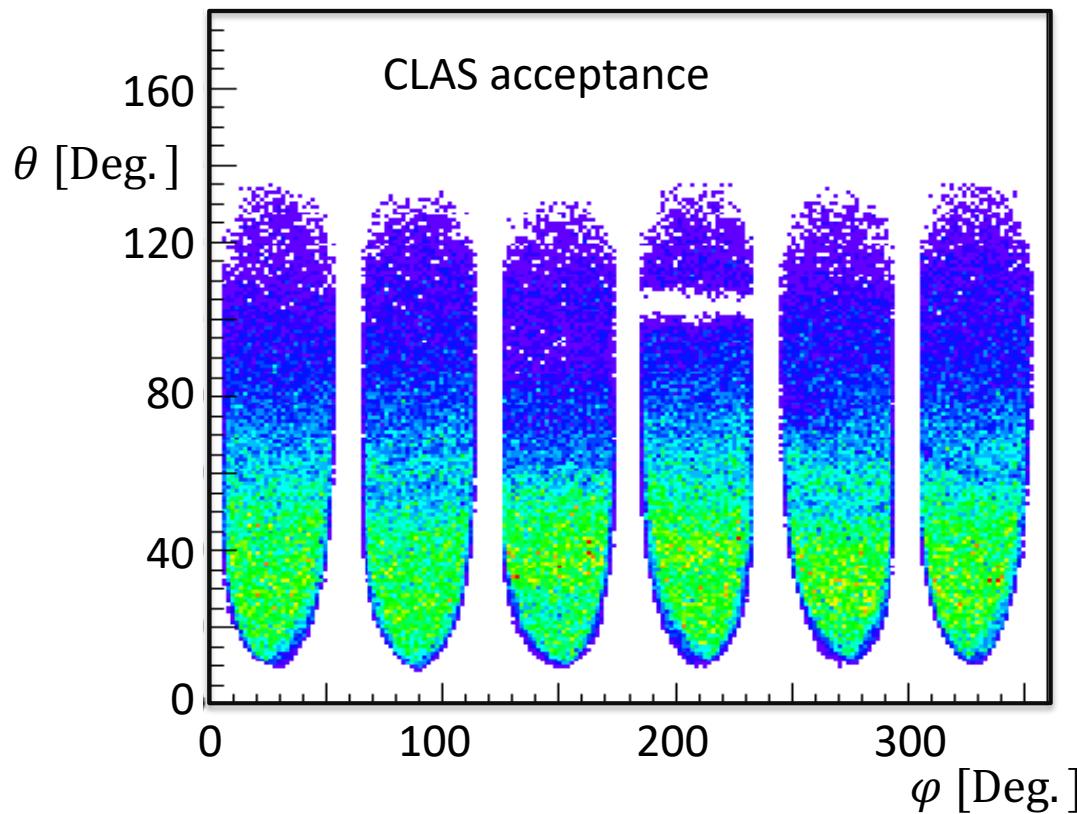
- Scattered electron,
- Knockout proton,
- Zero pion,
- Zero gammas in the EC.

Scale the  $e^-$  scattering data with  $1/\sigma_{\text{Mott}}$  to have 'neutrino like' data!

# Background Subtraction

Want  $0\pi$  ( $e,e'$ ) and ( $e,e'p$ ) events.

Need to account for undetected  $\pi, \gamma$  and extra protons.

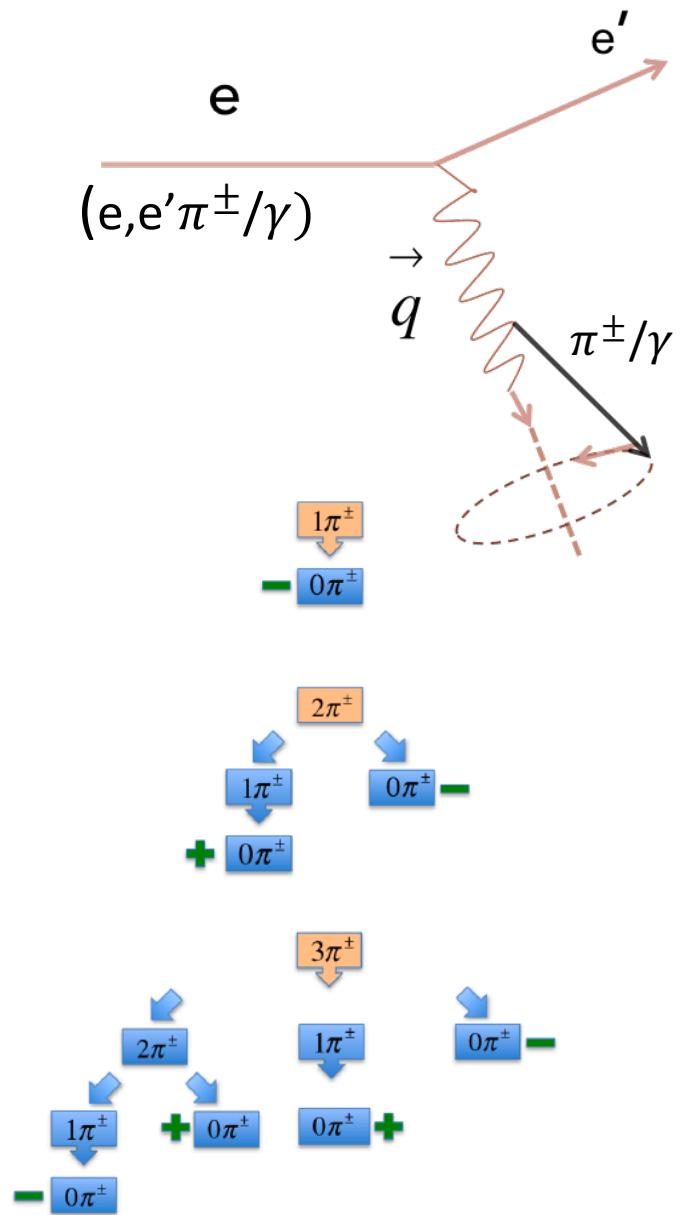
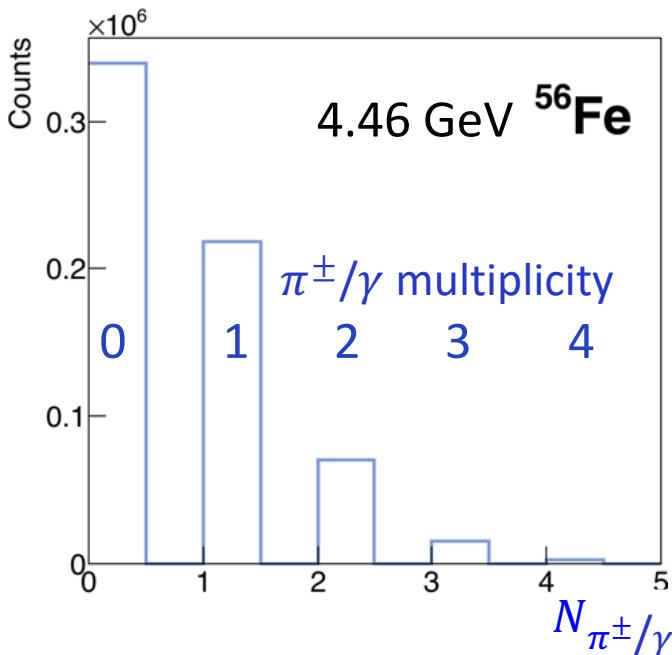


# Background Subtraction in $(e,e')$ analysis

Subtract for  $\pi^\pm$  and  $\gamma$ :

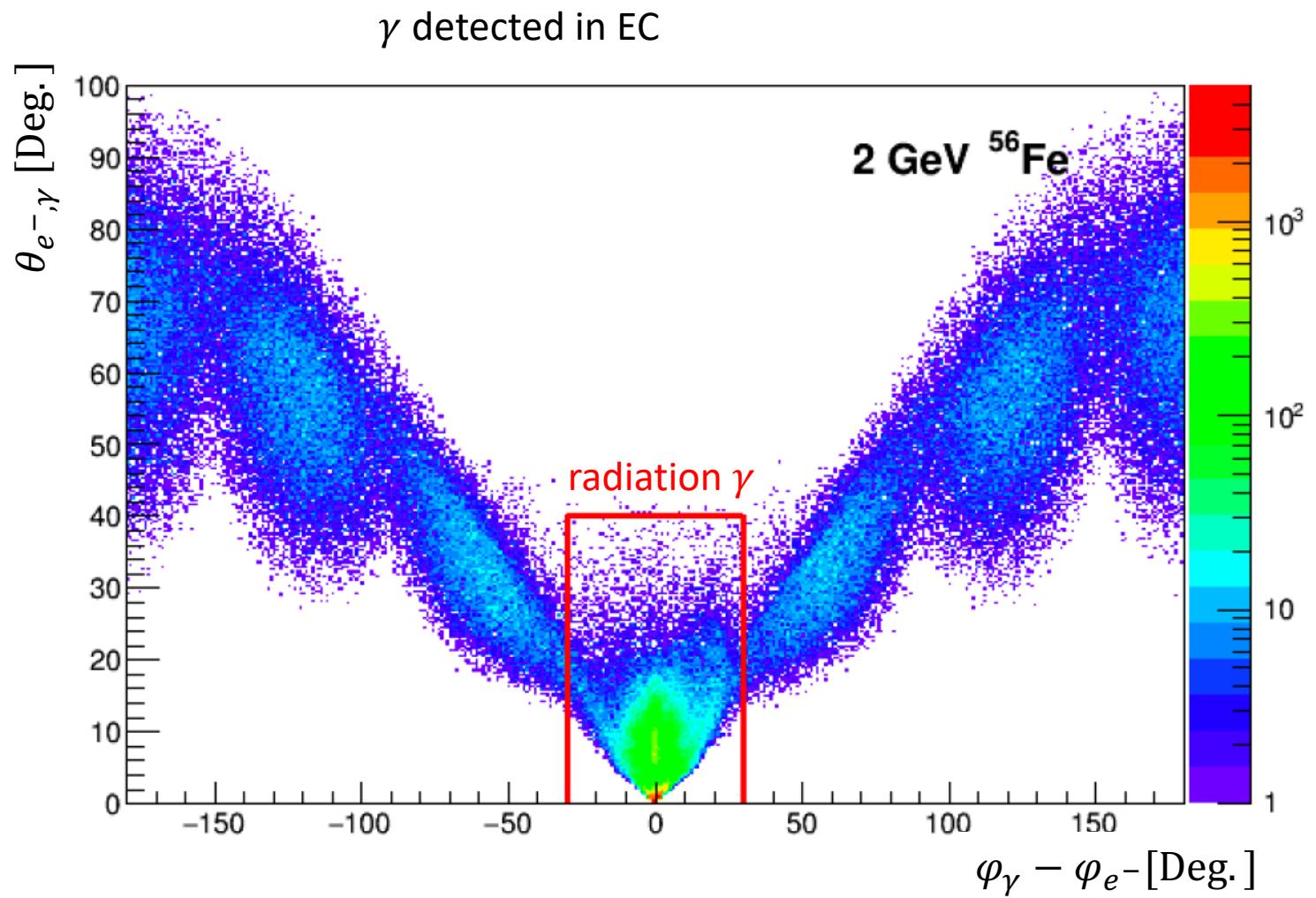
Data Driven Correction:

1. Use measured  $(e,e'\pi^\pm/\gamma)$  events,
2. Rotate  $\pi$  around  $q$  to determine its acceptance,
3. Subtract  $(e,e')$   $\pi^\pm/\gamma$  contributions,
4. Repeat for  $2\pi^\pm/\gamma$ ,  $3\pi^\pm/\gamma$ .



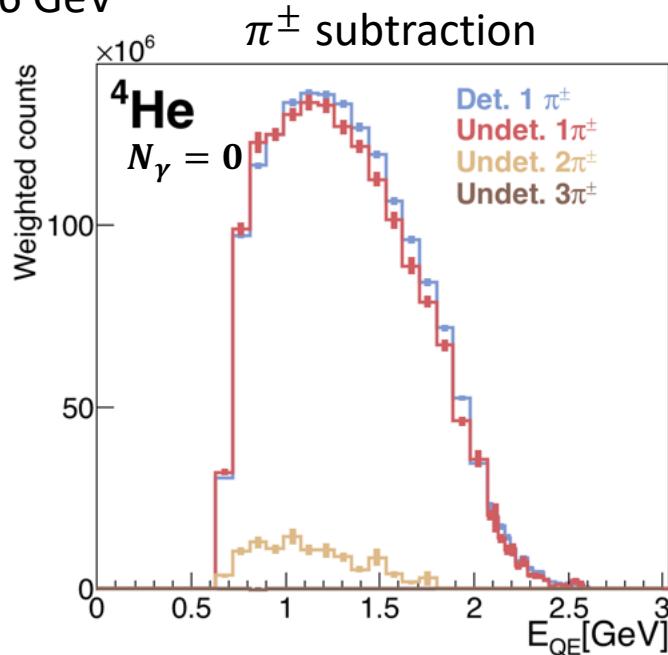
# Background Subtraction

Selecting non-radiation  $\gamma$ .

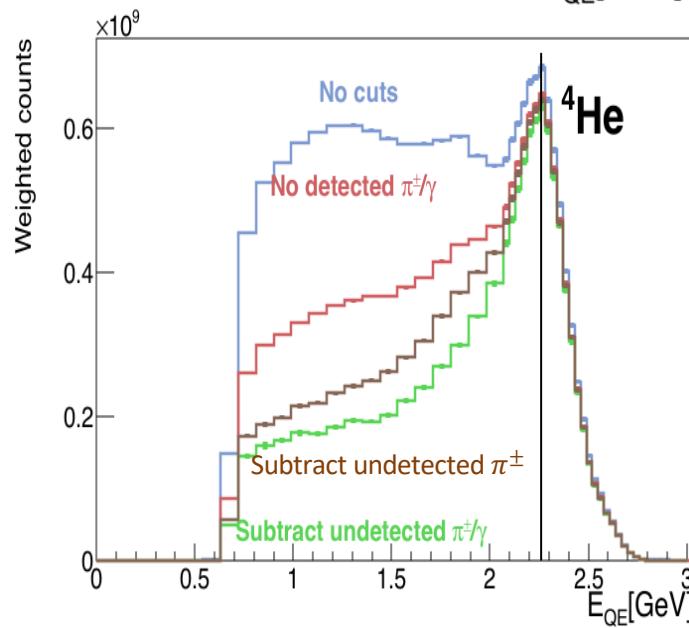
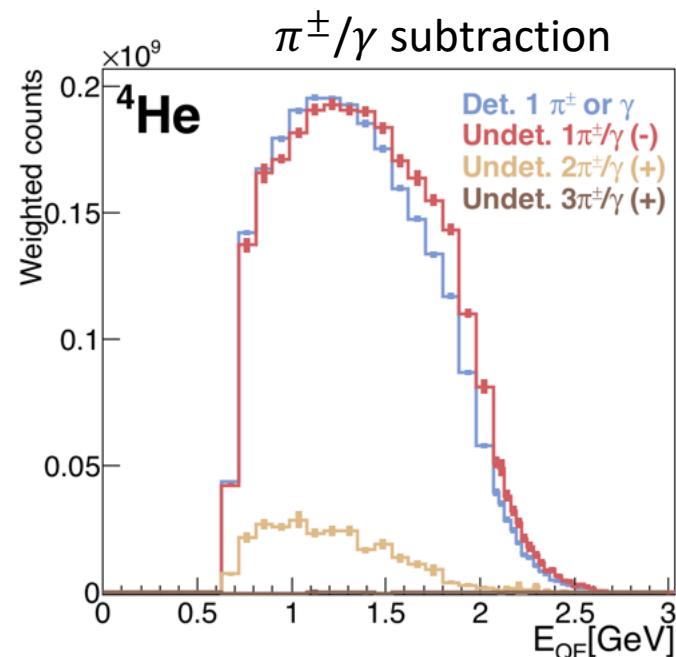


# $(e,e') \pi^\pm/\gamma$ subtraction

2.26 GeV



$\pi$  detected in TOF+DC  
 $\gamma$  detected in EC

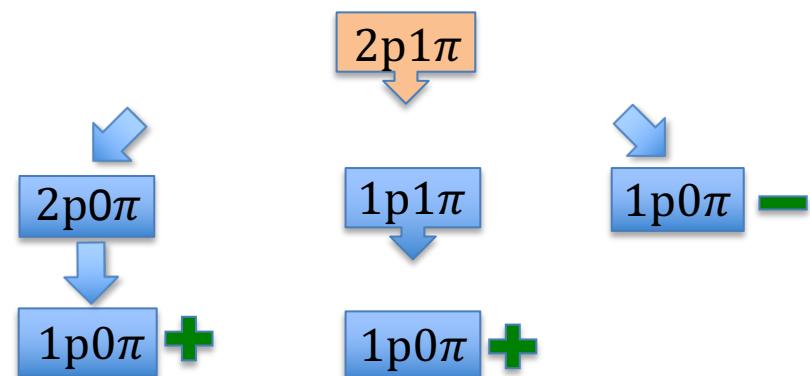
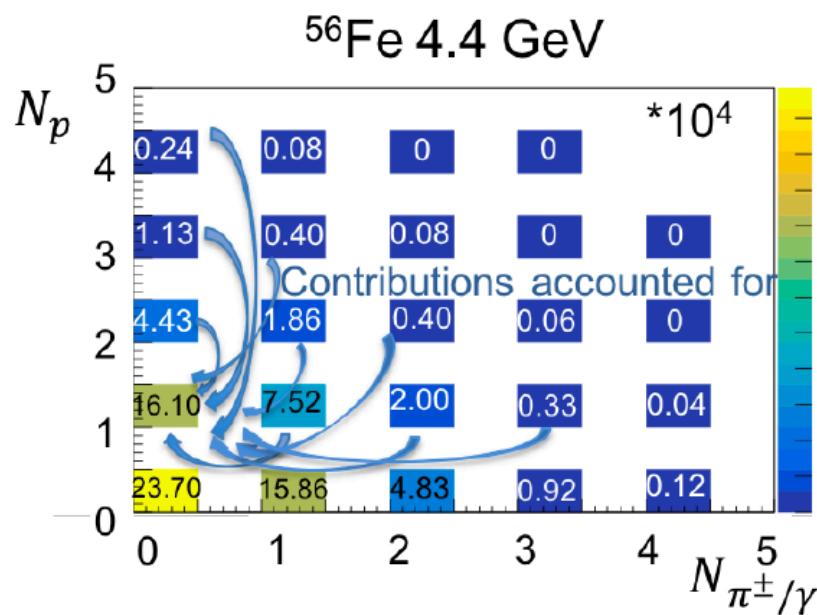
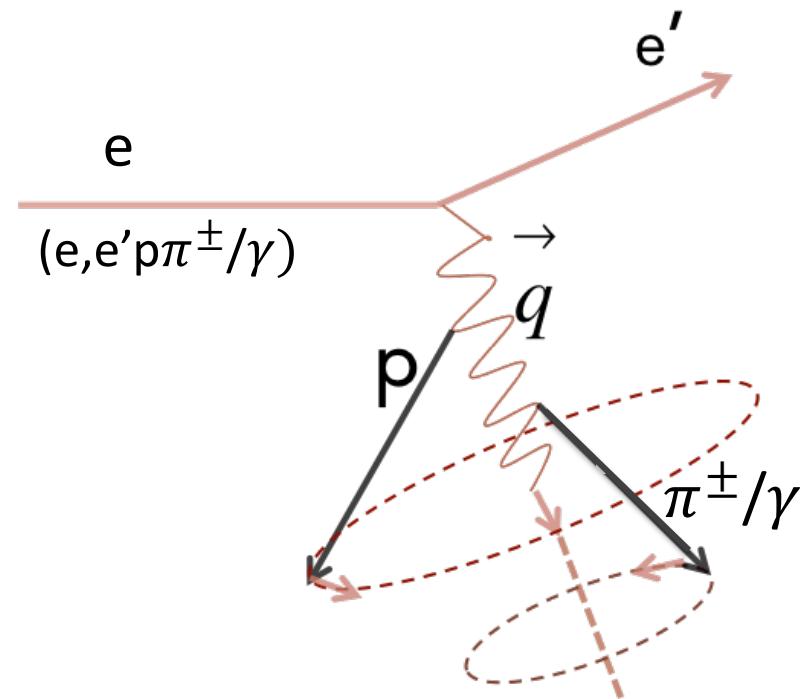


# Background Subtraction in $(e,e'p)$ analysis

Subtract for undetected  $\pi^\pm, \gamma$  and multiple p.

Data Driven Correction:

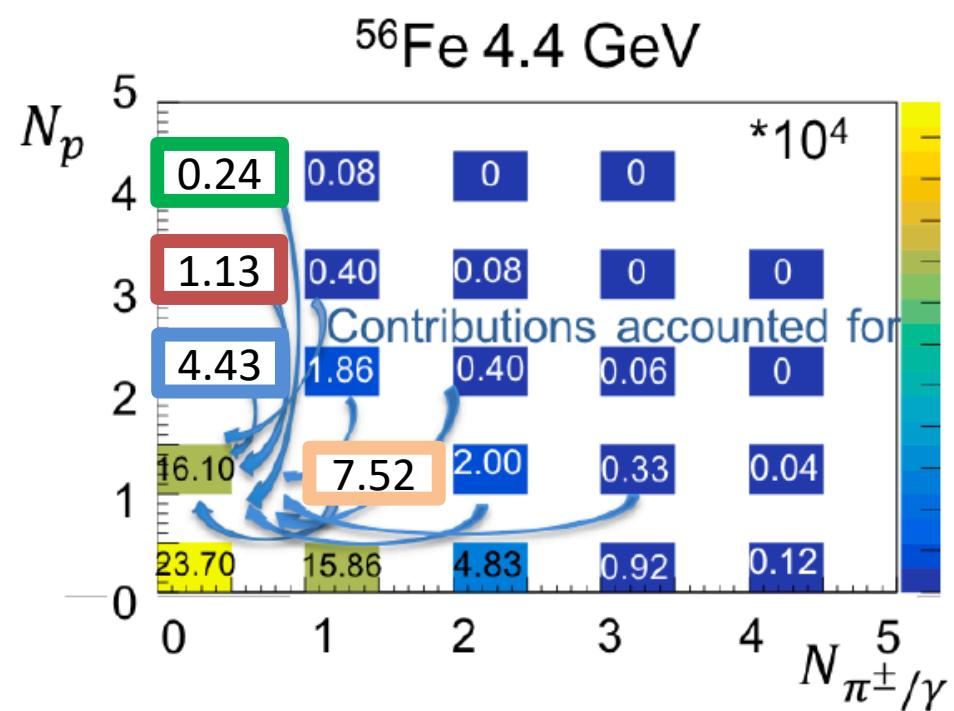
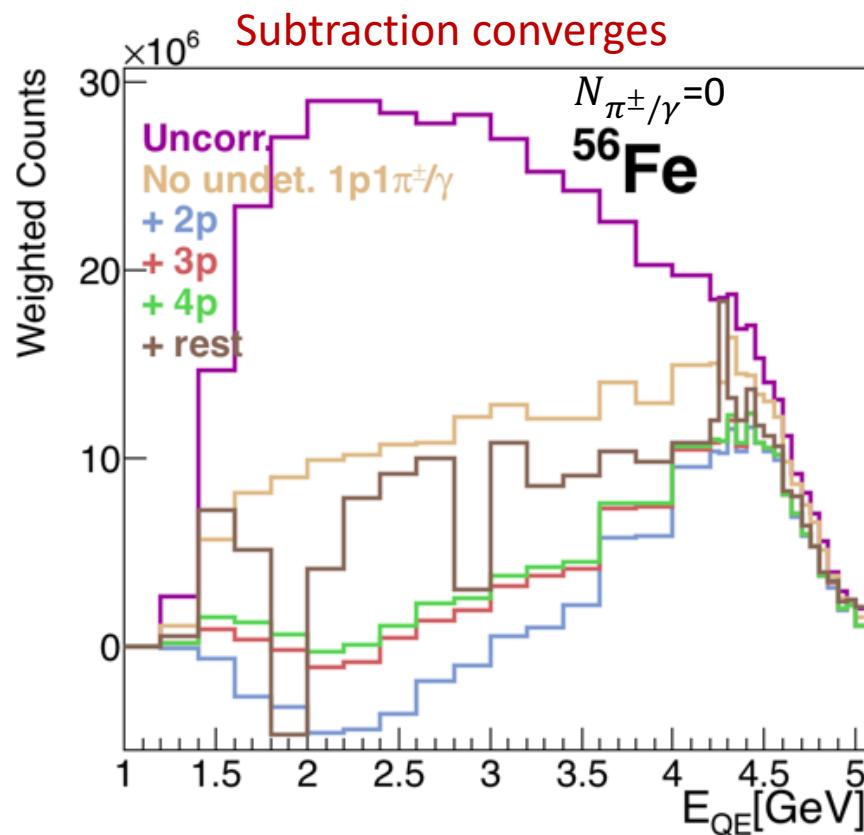
1. Use measured  $(e,e'p\pi^\pm/\gamma)$  events,
2. Rotate  $\pi$  around  $q$  to determine their acceptance,
3. Subtract  $(e,e'p)\pi^\pm/\gamma$  contributions
4. Do the same for 2p, 3p, 2p+ $\pi^\pm/\gamma$  etc



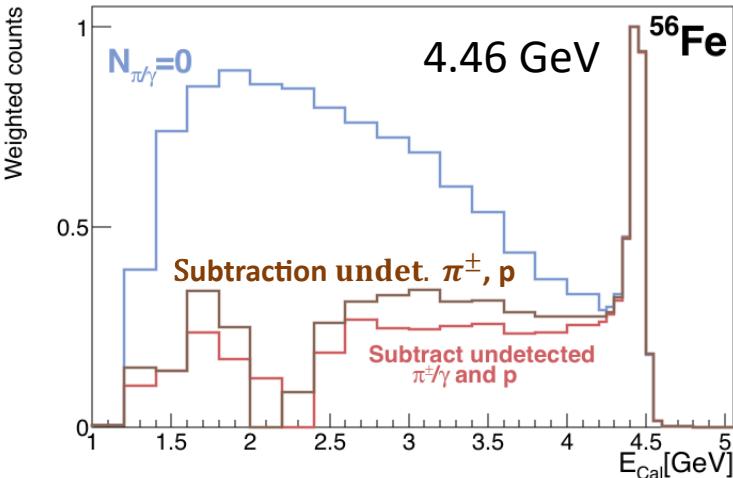
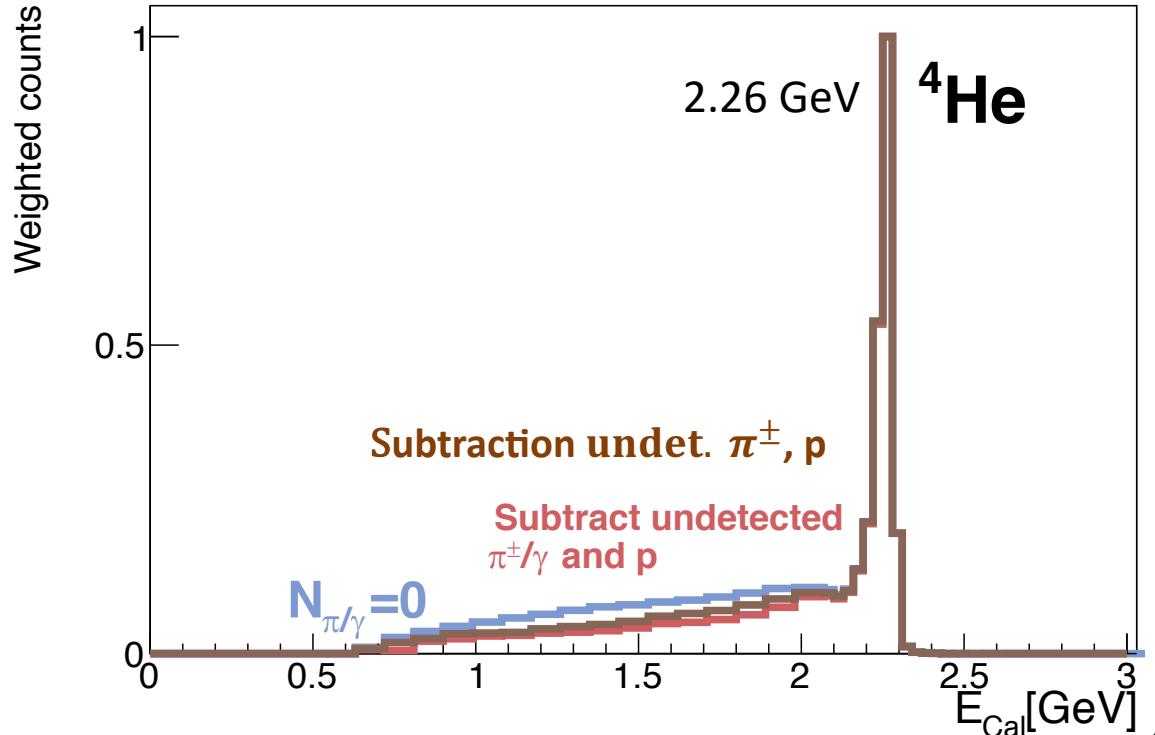
# Proton subtraction

$^{56}\text{Fe}$  ( $e, e' p$ )

4.46 GeV



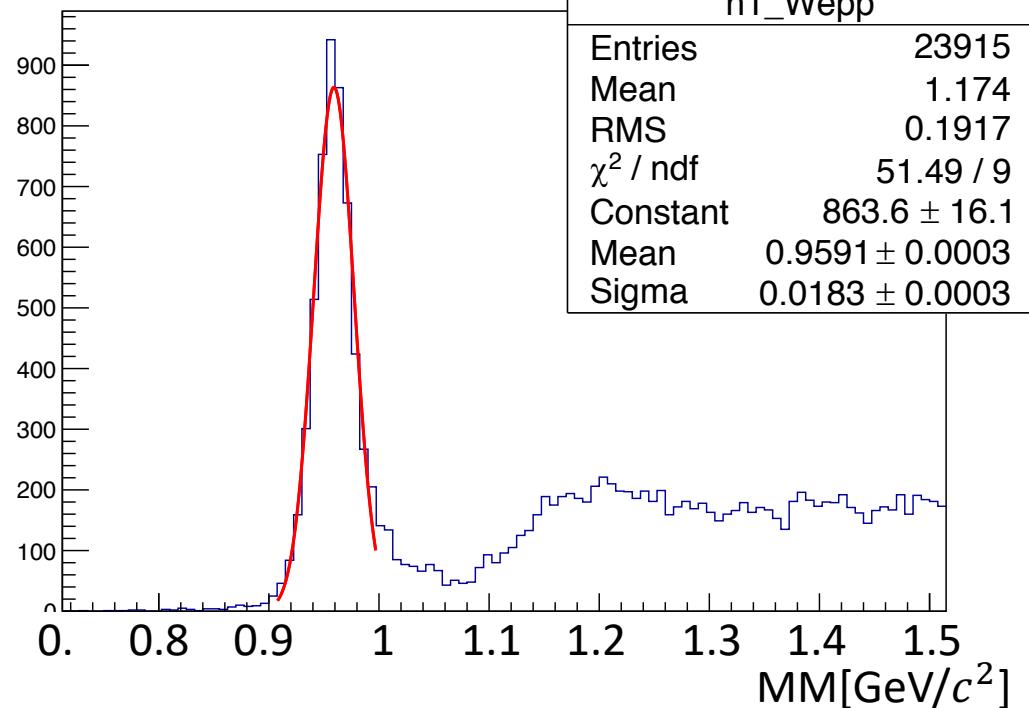
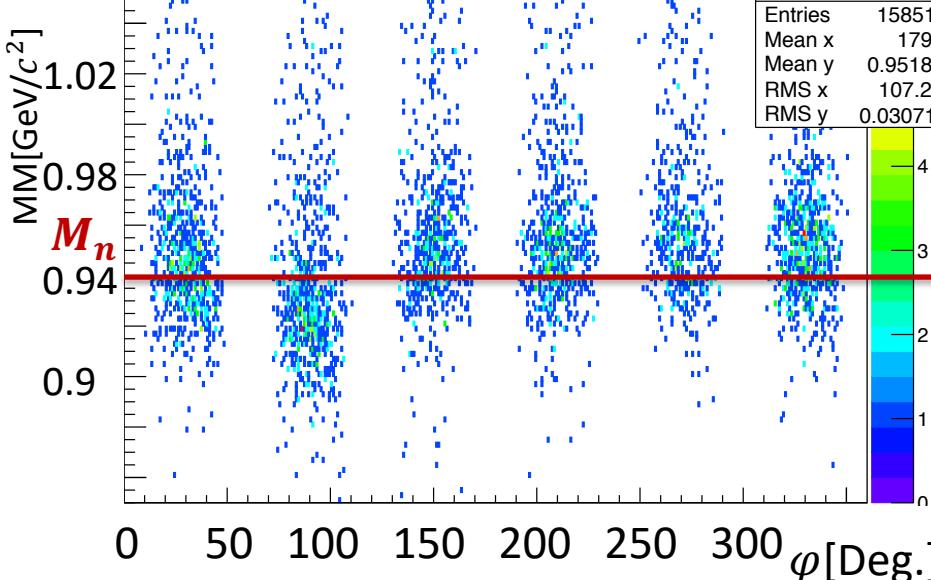
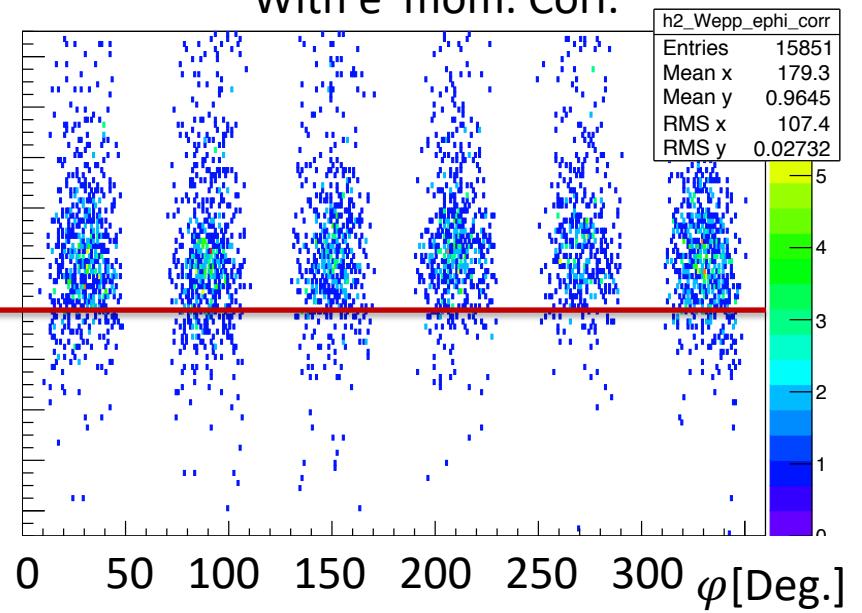
# Proton subtraction



2 GeV

 $^3\text{He}$  ( $e, e'pp$ )ne<sup>-</sup> momentum correction

Problem: neutron peak in wrong location

Without e<sup>-</sup> mom. Corr.With e<sup>-</sup> mom. Corr.

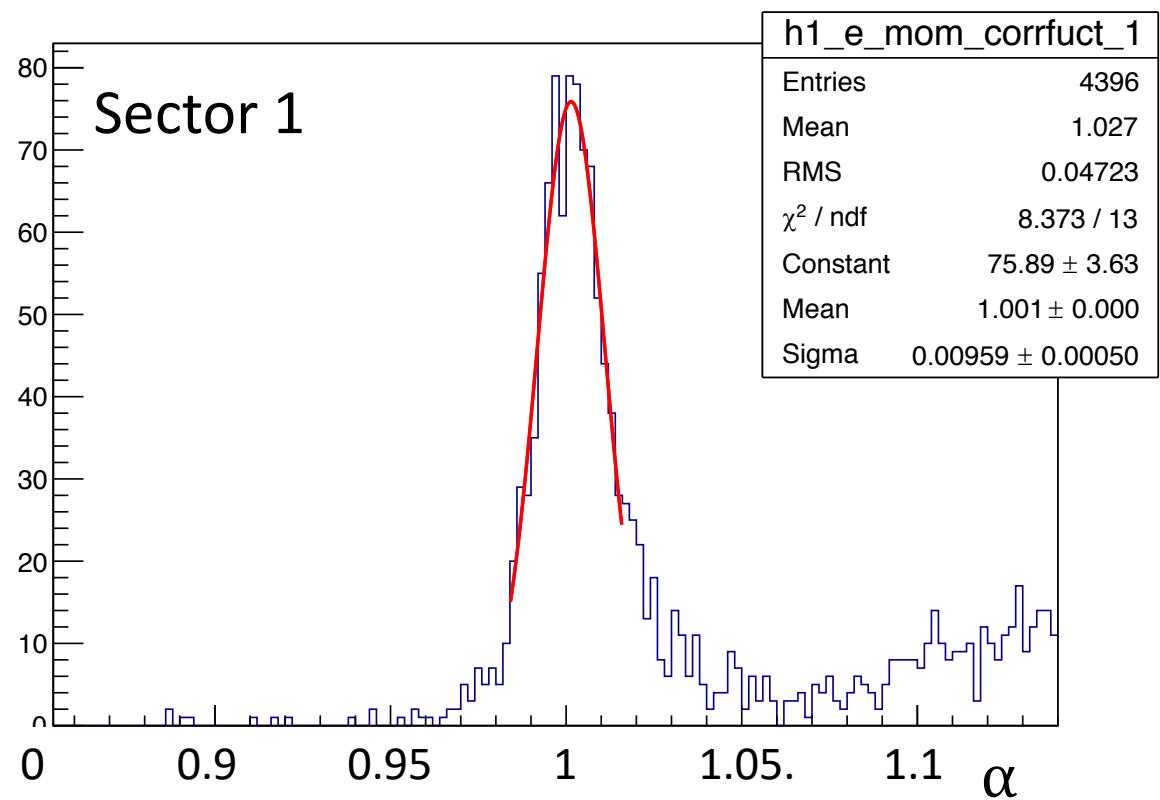
Solution: multiply e<sup>-</sup> momentum by a different factor  $\alpha$  in each sector

$$MM^2 = (P - P_e)^2 = M_n^2$$

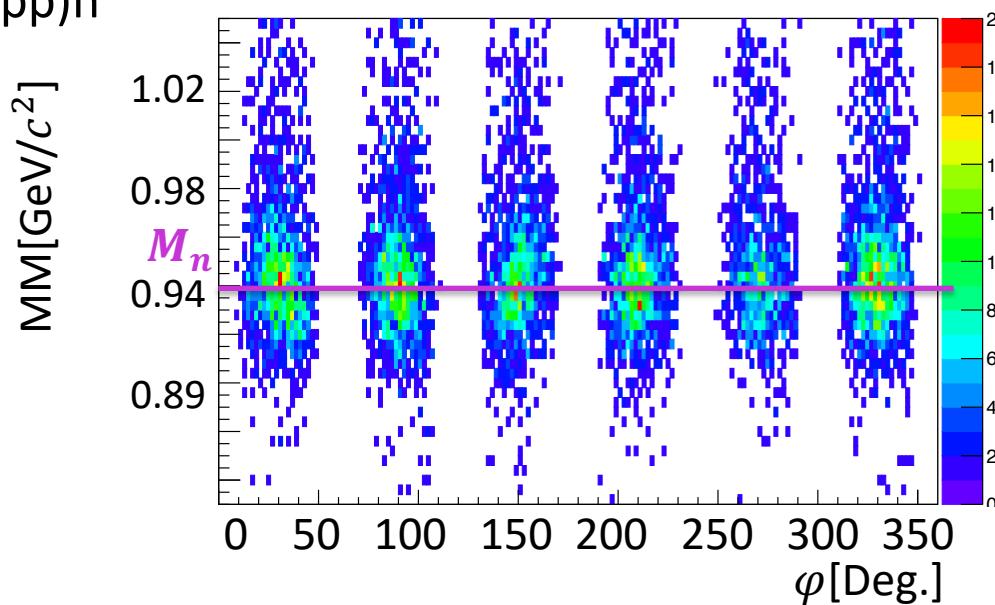
$$P_e(\alpha p_e, \alpha \vec{p}_e)$$

$$P(E, \vec{P}) = P^3\text{He} + P_{\text{Beam}} - P_{p_1} - P_{p_2}$$

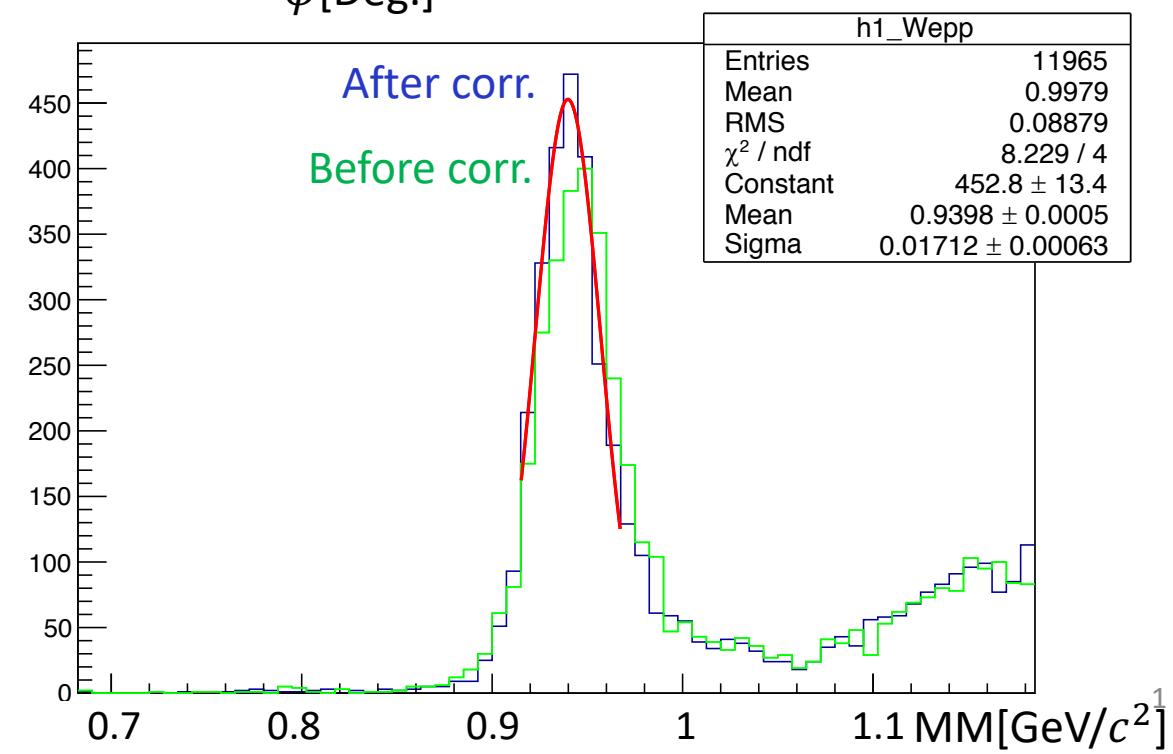
$$\alpha = \frac{-0.5(M_n^2 - P^2)}{E p_e - \vec{P} \vec{p}_e}$$



2 GeV

 $^3\text{He}$  ( $e, e' pp$ )ne<sup>-</sup> momentum correction

Same set of  $\alpha$  factors at 2 and 4 GeV (Same magnetic field)



# Correcting for binding energy

$$E_{Cal} = E_l + T_p + \varepsilon$$

$$\varepsilon = E_{Bind}^A - E_{Bind}^{A-1}$$

$$\varepsilon(^3\text{He}) = 5 \text{ MeV}$$

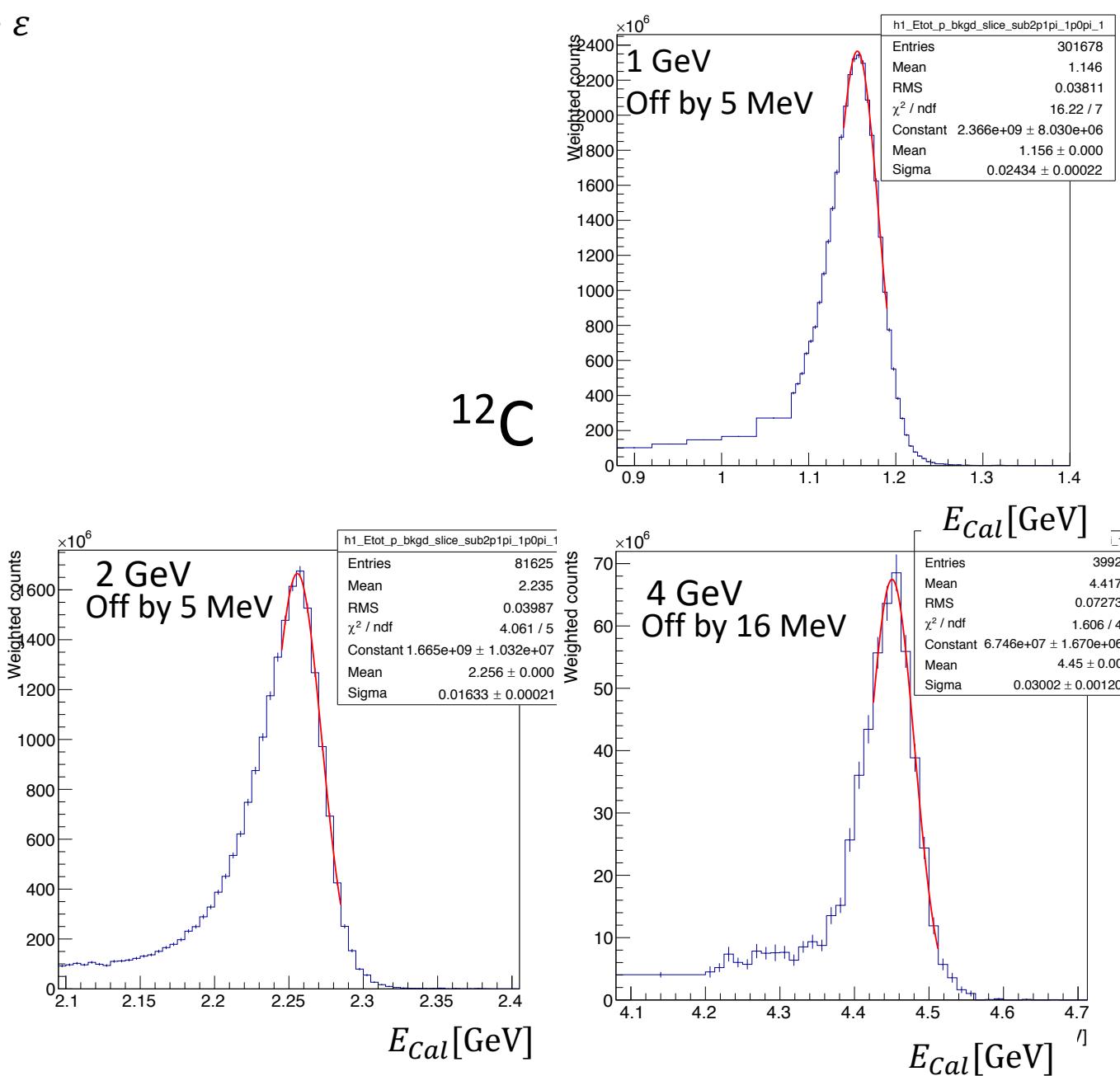
$$\varepsilon(^4\text{He}) = 20 \text{ MeV}$$

$$\varepsilon(^{12}\text{C}) = 16 \text{ MeV}$$

$$\varepsilon(^{56}\text{Fe}) = 10 \text{ MeV}$$

Use these offsets to correct the binding energy used in  $E_{Cal}$  and  $E_{QE}$

Target	$E_{Cal}$ offset [2GeV]
$^3\text{He}$	4 MeV
$^4\text{He}$	5 MeV
$^{12}\text{C}$	5 MeV
$^{56}\text{Fe}$	11 MeV

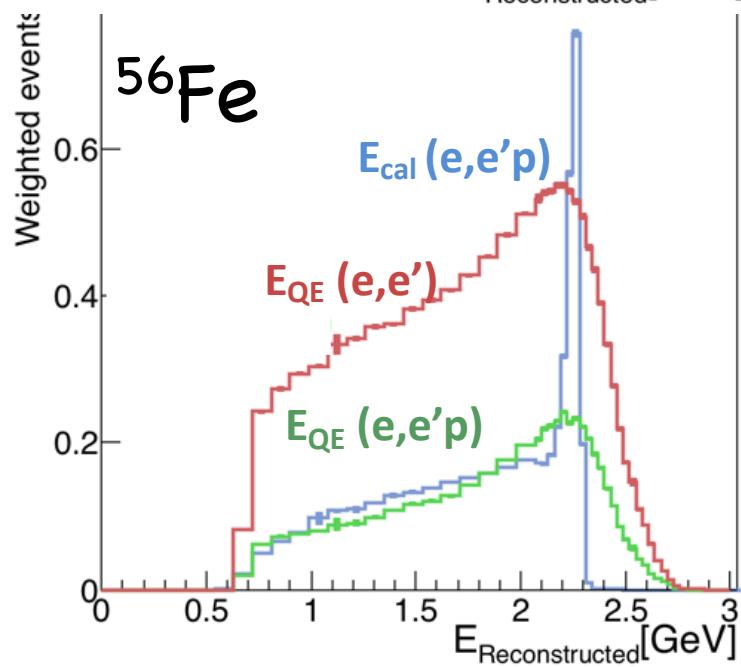
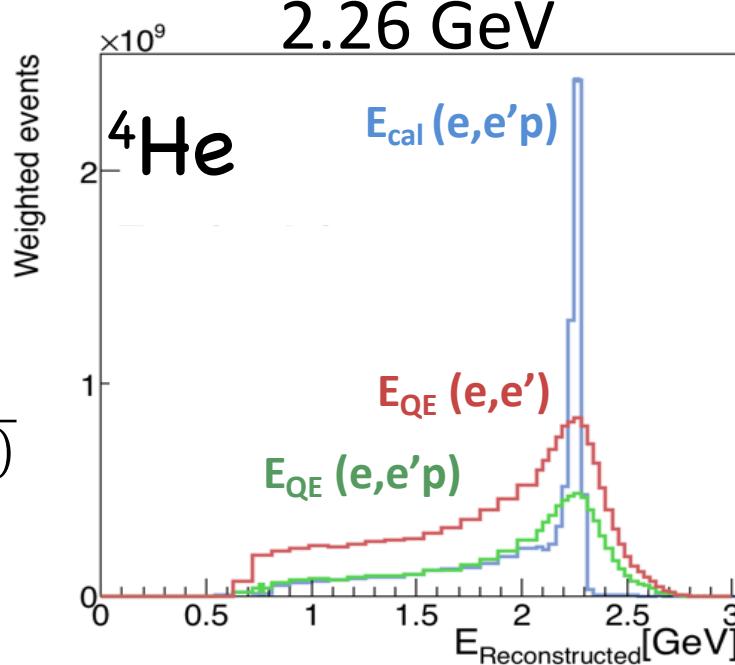


# Results

# Large A dependence

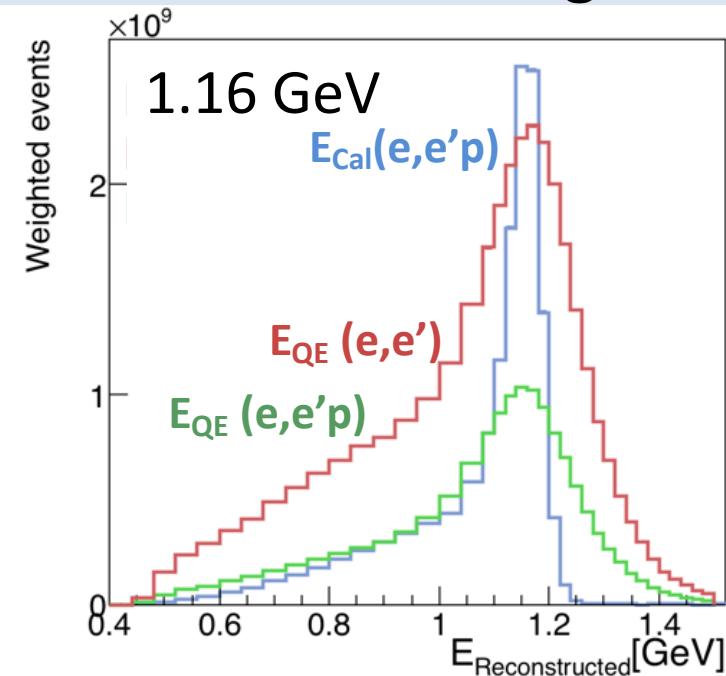
$$E_{Cal} = E_l + T_p + \varepsilon$$

$$E_{QE} = \frac{2M\varepsilon + 2ME_l - m_l^2}{2(M - E_l + |k_l|cos(\theta_l))}$$

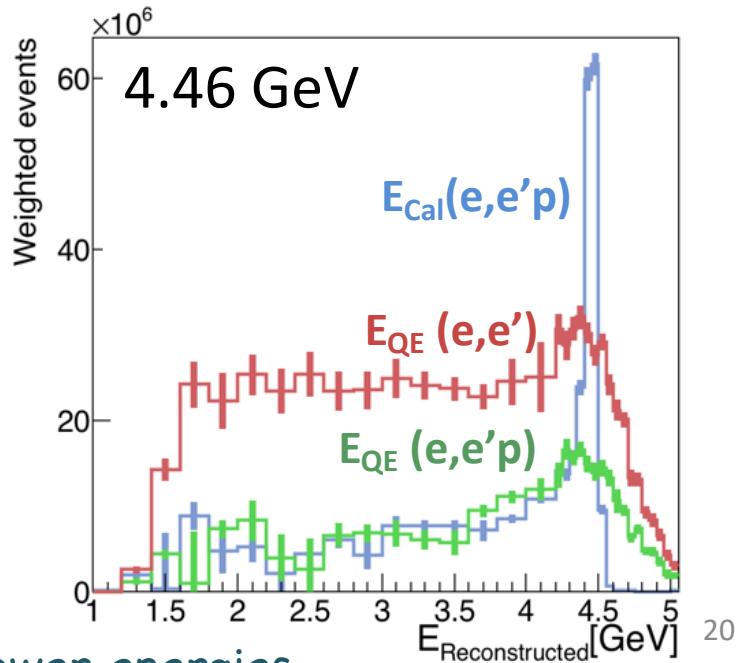
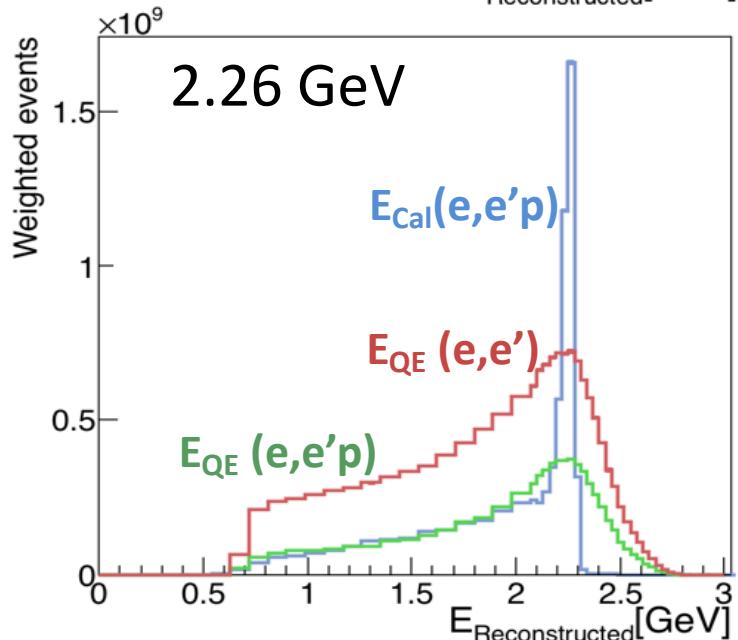


- 1.  $E_{QE}$  has worse peak resolution than  $E_{Cal}$ .
- 2. Same tail for  $E_{QE} + E_{Cal}$ .
- 3.  ${}^{56}\text{Fe}$  is predominantly tail.
- 4.  ${}^{56}\text{Fe}$  is much worse than  ${}^4\text{He}$ .

# Large E dependence



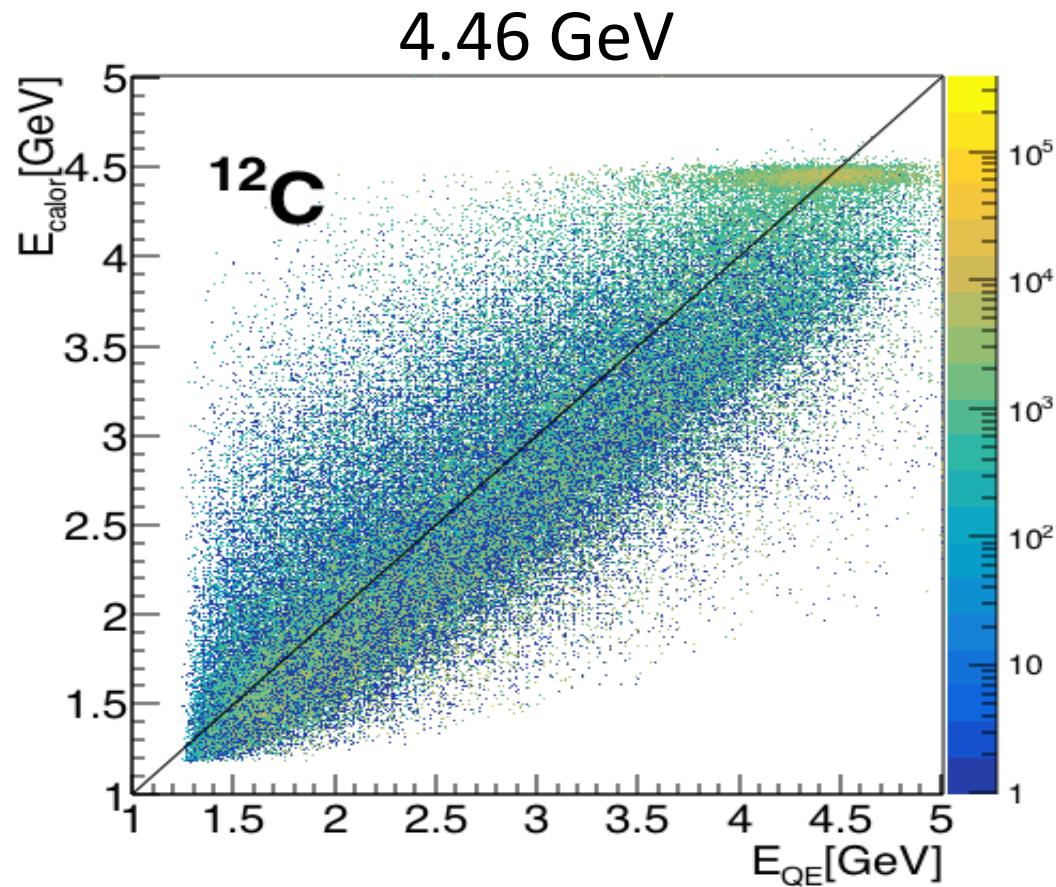
$^{12}\text{C}$



Better reconstruction at lower energies.

# $E_{QE}$ vs $E_{Cal}$

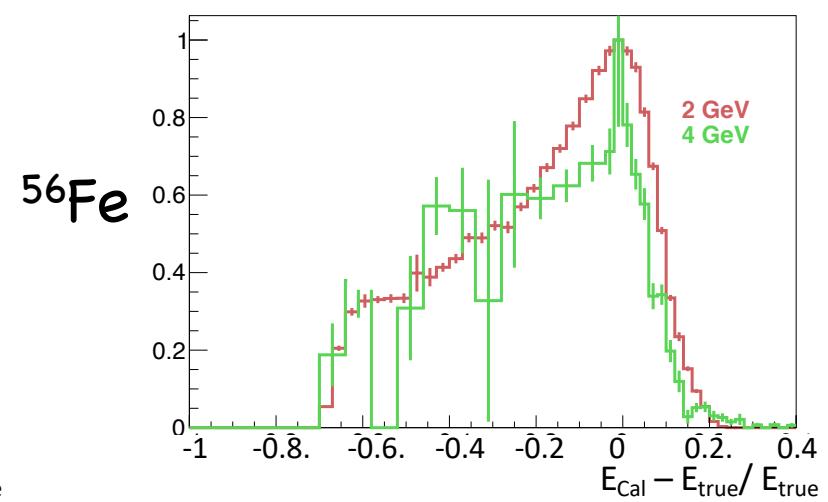
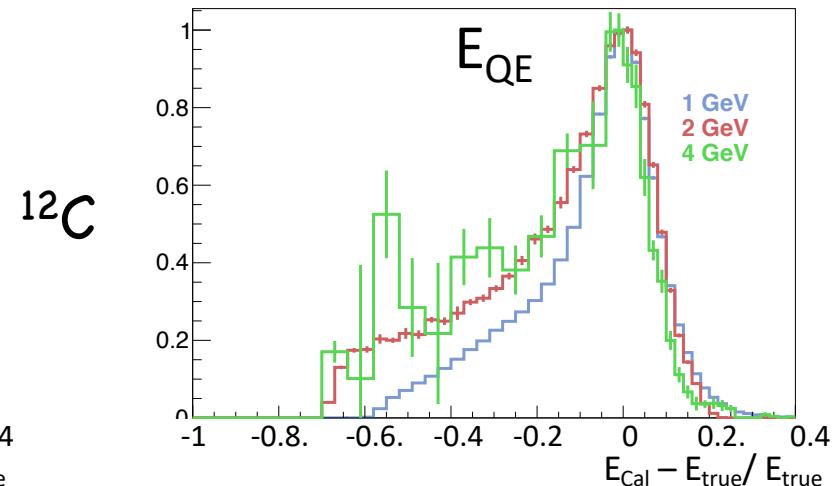
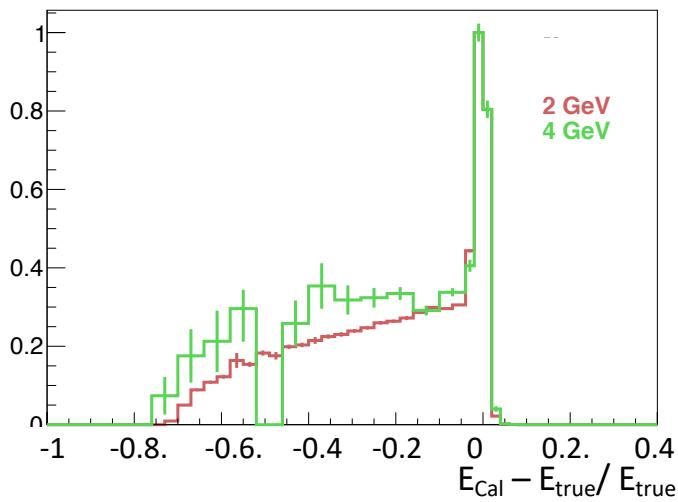
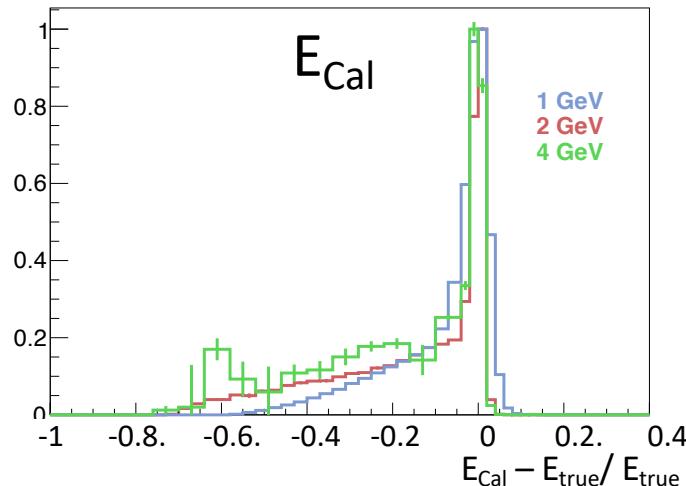
Agreement between two methods  
doesn't imply correct energy  
reconstruction.



# Fractional energy feed down

$(e, e' p)$

The fractional energy feed down is bigger at higher energies.



# Summary

## 1. The first use of electron data to test neutrino energy reconstruction algorithms

- select zero-pion events to enhance quasi-elastic signal
  - ❖ Subtract for undetected  $\pi$  and extra p.
- just using scattered lepton ( $E_{QE}$ )
  - ❖ used in Cherenkov-type neutrino detectors
- total energy of electron plus proton ( $E_{Cal}$ )
  - ❖ used in calorimetric neutrino detectors

## 2. Only 0.1-0.66 of events reconstruct to within 5% of the beam energy

- better for lighter nuclei
- improved by a transverse momentum cut

## 3. Added 1GeV analysis.

## 4. Analysis complete.

## 5. Update note for committee.

## 6. Anticipate paper submission soon.

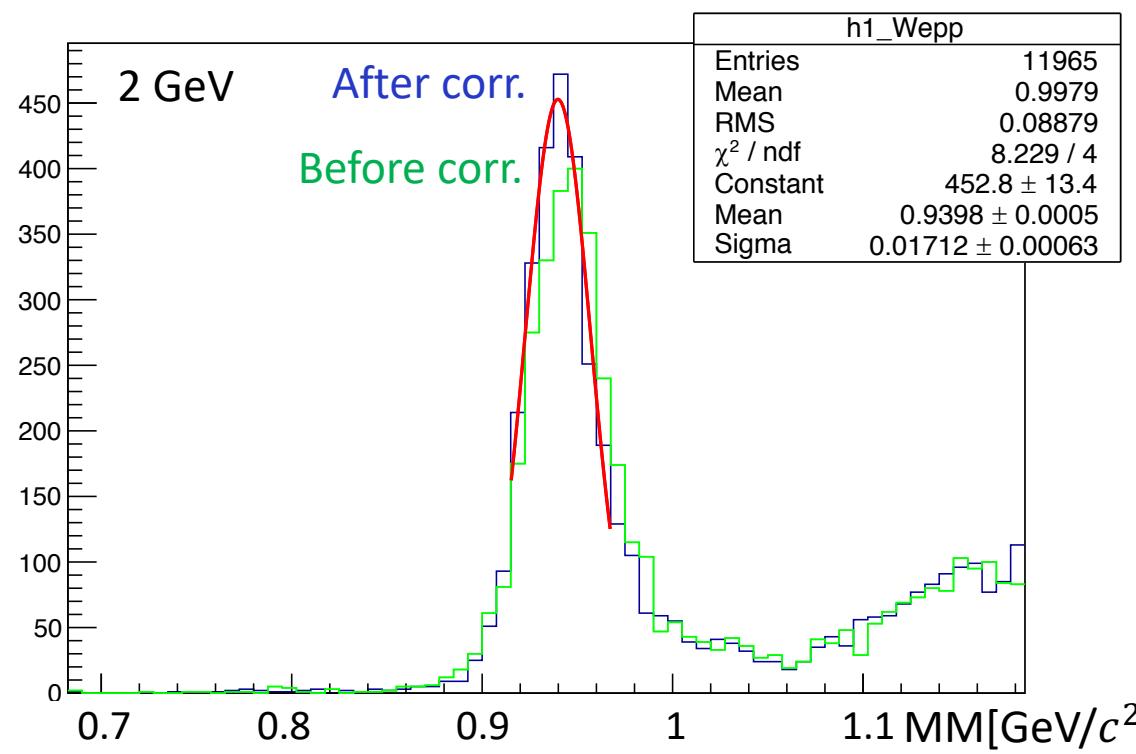
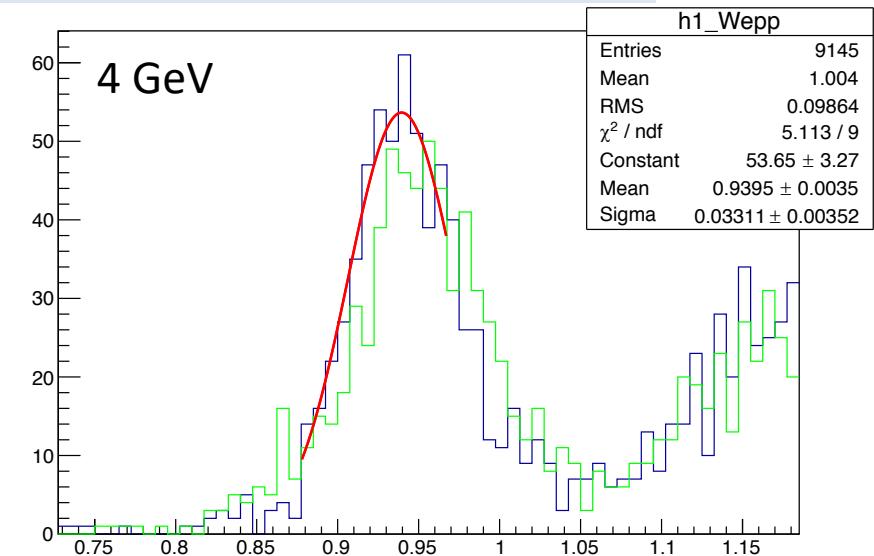
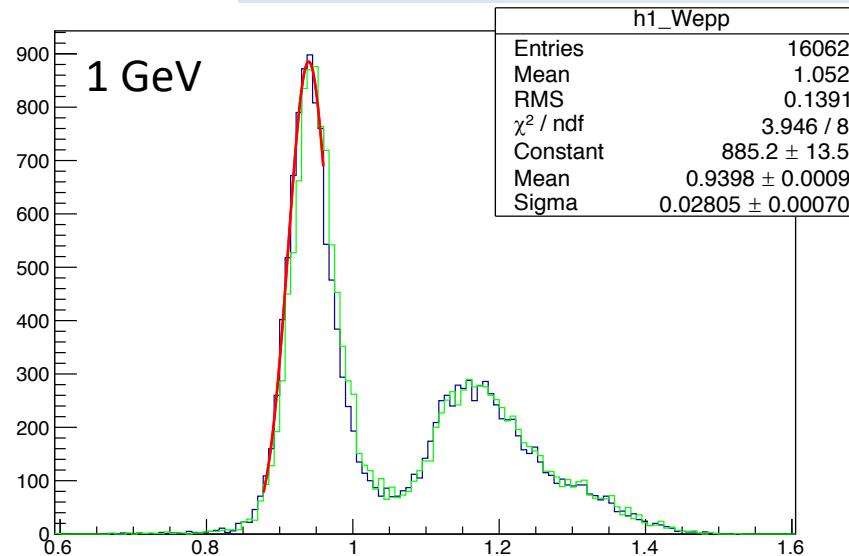
Chris Marshal  
(LBL)



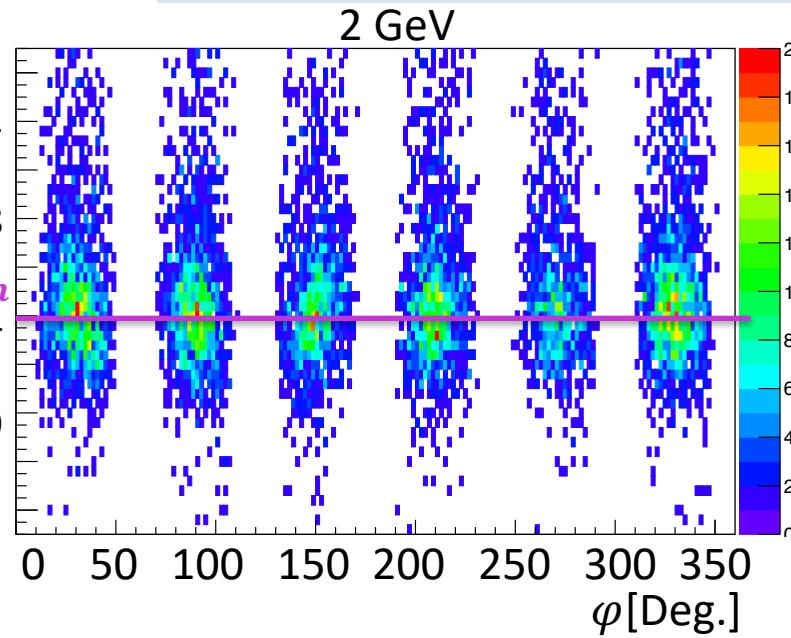
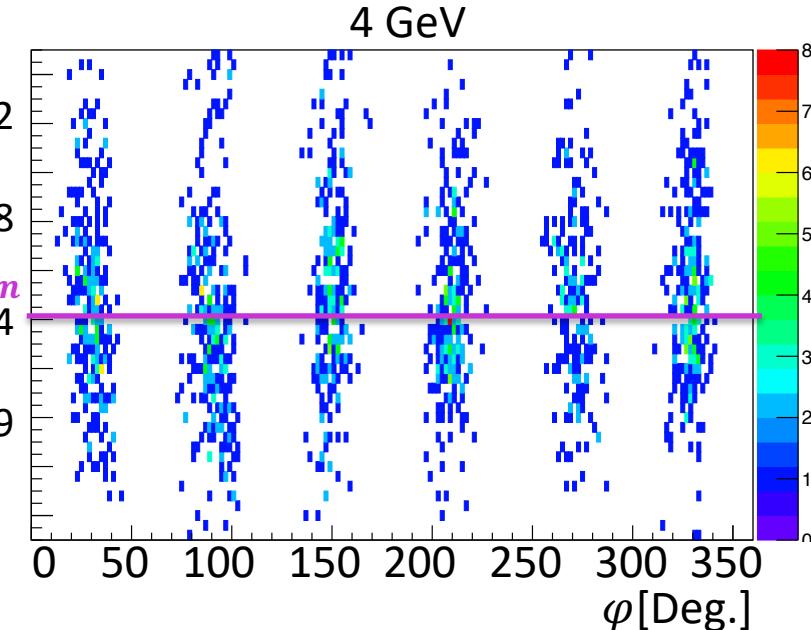
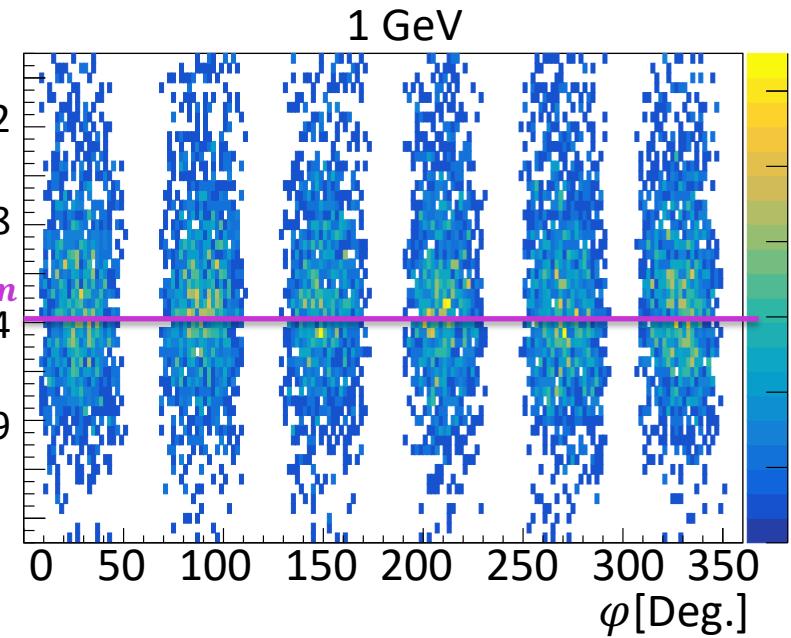
Afroditi  
Papadopoulou  
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Adi Ashkenazi  
(MIT@FNAL)

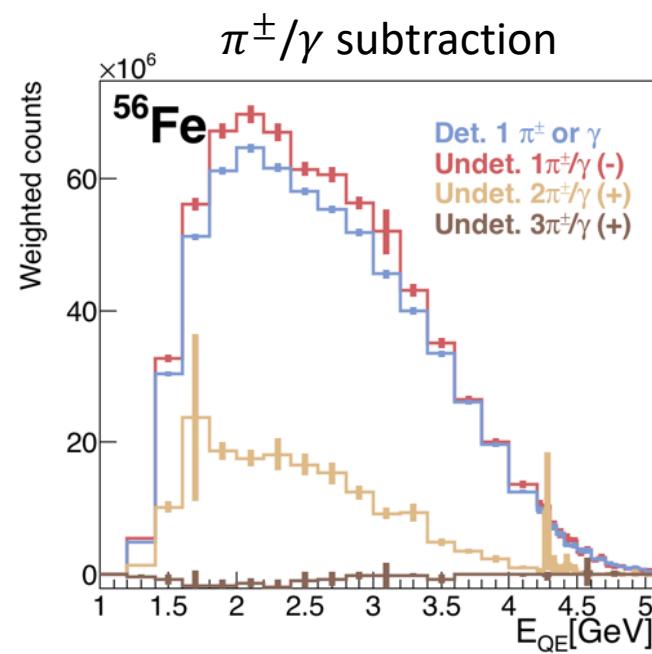
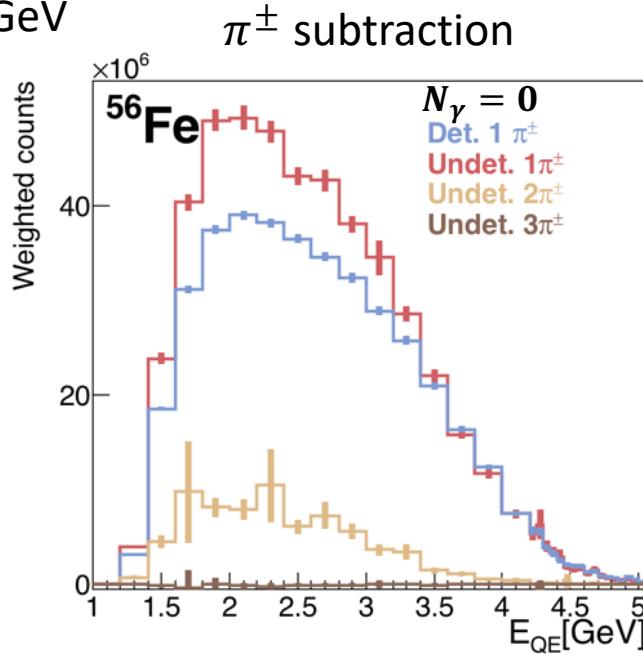


Same set of  $\alpha$  factors at 2 and 4 GeV (Same magnetic field)

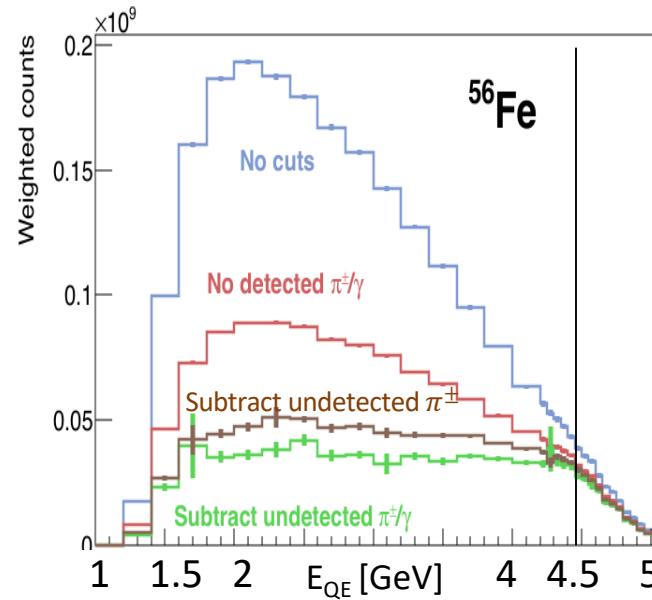
MM[GeV/c<sup>2</sup>]MM[GeV/c<sup>2</sup>]

# $(e, e') \pi^\pm/\gamma$ subtraction

$^{56}\text{Fe}$  4.46 GeV



$\pi$  detected in TOF+DC  
 $\gamma$  detected in EC



## Proton subtraction

 $^{56}\text{Fe}$  ( $e, e' p$ )

4.46 GeV

