# Nuclear Physics Working Group Summary Report

M. H. Wood, Canisius College

March 8, 2019

# Conferences

Since November 2018 meeting, there were 5 presentations.

Contributed 1 (not notified) General – 4 (2 notified)

## **Active Reviews**

- Neutral pion electroproduction ratios off C, Fe, and Pb to D,
  - T. Mineeva et al. (analysis review)
- Validation of neutrino energy estimation using electron scattering data,
  - L. Weinstein et al. (analysis review)
- Coherent DV $\pi$ °P with CLAS EG6, F. Cao et al. (analysis review)
- Ratio of A(e, e'pp) to A(e, e'p) events in SRC kinematics,
  - A. Schmidt et al. (analysis review)

10:30 - 12:00 Nuclear Physics Working Group - II Convener: Dr. Michael Wood (Canisius College) Location: A110 - https://bluejeans.com/7168882426 BSA of Coherent  $\pi^0$  DVMP on Helium-4  $20^{\circ}$ 10:30 Speaker: Mr. Frank Cao (UConn) Material: Slides Validation of neutrino energy estimation using electron scattering data 20' 10:50 Speaker: Mariana Khachatryan (ODU) Material: Slides 11:10 **Electrons for Neutrinos - Simulations 20'** Speakers: Afroditi Papadopoulou (MIT), Adi Ashkenazi (MIT) Material: Slides 📆 11:30 Update on the Analysis of Color Propagation of pi+ 20' Speaker: Sebastian Moran (UTFSM) Material: Slides 📆

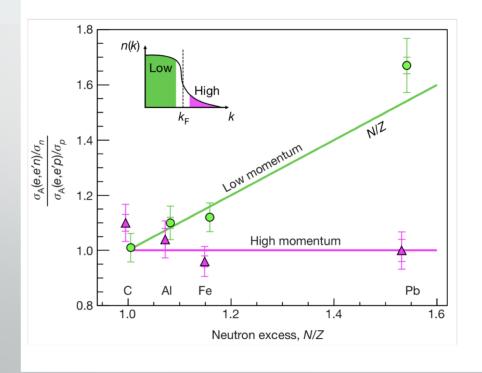
08:30 - 10:00 Nuclear Physics Working Group - I Convener: Dr. Michael Wood (Canisius College) Location: A110 - https://bluejeans.com/7168882426 08:30 **NPWG Business 10'** Speaker: Dr. Michael Wood (Canisius College) Material: Slides 📆 08:40 3He/4He (e,e'p) and (e,e'n) 20' Speaker: Peninah Levine (MIT) Material: Slides 📆 A(e,e'pn) detecting the n in the TOF 20' 09:00 Speaker: Dr. Igor Korover (NRCN) Material: Slides 📆 09:20 (e,e'pp)/(e,e'p) ratios and the GCF 20' Speaker: Axel Schmidt (MIT) Material: Slides 📆 Analysis Updates on the EG2 Lambda Study 20' 09:40 Speaker: Dr. Taya Chetry (Mississippi State University) Material: Slides 📆

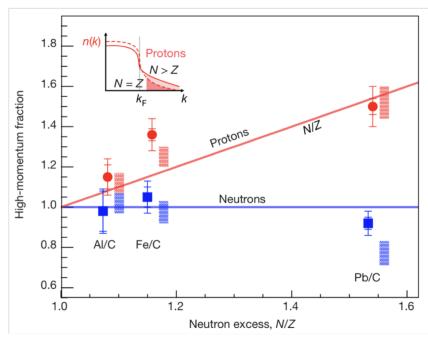
# Probing 2N-SRC via (e,e'N) reactions off <sup>3,4</sup>He (<sup>12</sup>C)

Using e2a data

Peninah Levine March 7, 2019

### SRC in n. Rich systems





<sup>12</sup>C / <sup>4</sup>He (e,e'p)

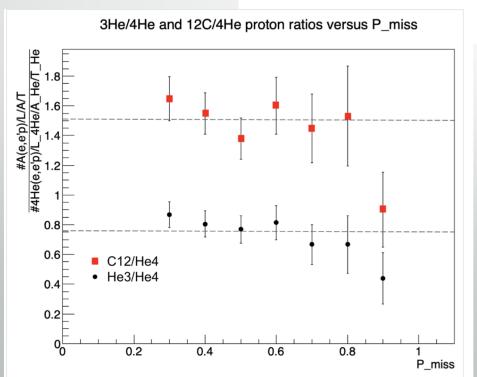
 $^{3}$ He /  $^{4}$ He (e,e'p)

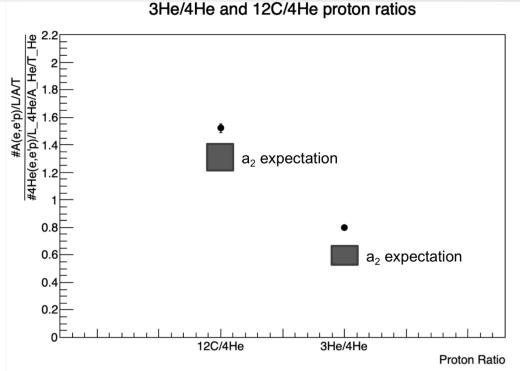


Stat. uncertainties only

#### Sys. Uncertainties:

Iuminosity (~2%)
Transparency
Cut sensitivity
P<sub>miss</sub> (in)dependence





# A(e,e'p)/A(e,e'n) ratios

Nucleus	(#(e,e'p)/Z/sigma <sub>ep</sub> ) / (#(e,e'n)/N/sigma <sub>en</sub> )	
<sup>4</sup> He	1.05 ± 0.2	
12 <b>C</b>	1.00 ± 0.2	

# A(e,e'pn) detecting Neutrons in TOF counters

# Igor Korover NRCN & Tel Aviv University

### **Motivation**

Search for Short Range Correlation using A(e,e'pn) reaction

Complimentary analysis to A(e,e'pp)

Advantages over A(e,e'np) (knocked out neutron detected in EC)

Better missing momentum resolution (same as A(e,e'pp) analysis)

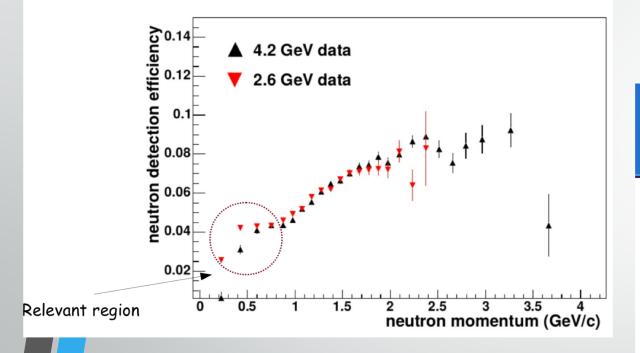


A(e,e'pn)/A(e,e'p) as function of missing momentum

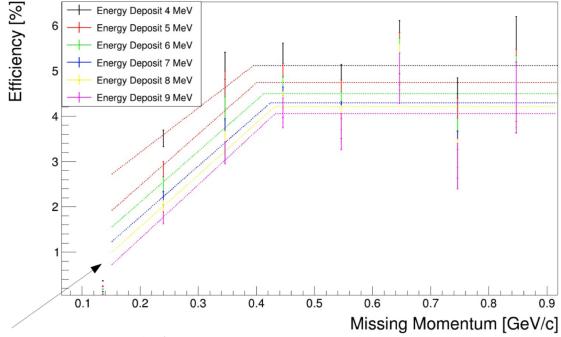
A(e,e'pp) and A(e,e'pn) Allows better comparison to NN-interaction calculations (using the generator)

# Previous analysis

CLAS Analysis Note 2008-103



## Absolute neutron detection efficiency



Efficiency measurement below 0.25 GeV/c is not reliable

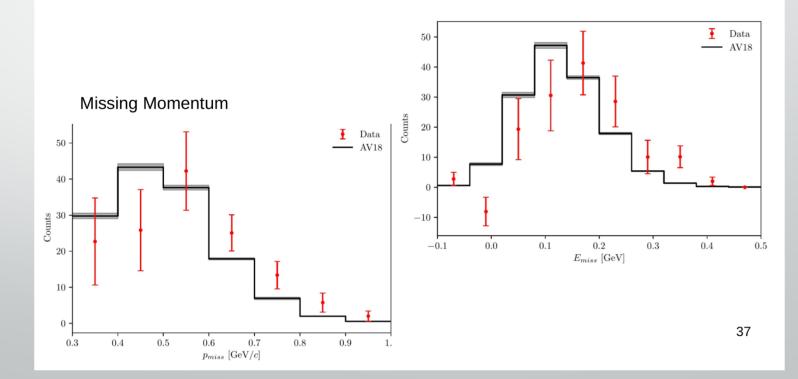
# C(e,e'pn)/C(e,e'p) Result

# Kinematic variable comparison to the generator prediction

 $E_p$  - Energy of knocked out proton

Comparison between missing energy

$$E_{\text{miss}} = \sqrt{(\omega + m_{Carbon} - E_p)^2 - p_{\text{miss}}^2} + m_n - m_{Carbon}$$



# (e, e'pp)/(e, e'p) ratios and the Generalized Contact Formalism

CLAS Nuclear Physics Working Group Meeting

Axel Schmidt

MIT

March 7, 2019

New EG2 Data Mining Analysis Note

- 1 Previous EG2 analyses selected SRC break-up events.
- 2 We have a new formalism, event generator to simulate SRC break-up events.
  - Key input: 2-body wave function from *NN*-interaction
- 3 By comparing data to our generator, we can test short-distance NN-interaction.

### Generalized Contact Formalism

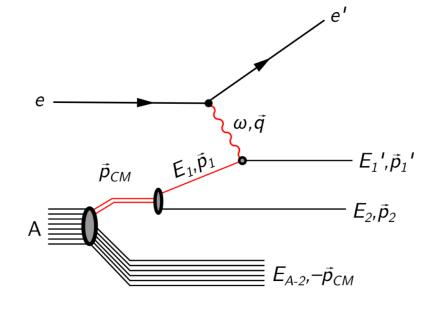
$$\Psi(k_{ij}\gg k_F)\longrightarrow \tilde{\varphi}(k_{ij})\times A(K_{ij},\vec{k}_{m\neq i\neq j})$$

For large 
$$k$$
:  $\rho_2(k) = \sum_{\alpha} C_{\alpha} |\tilde{\varphi}_{\alpha}(k)|^2$ 

 $ilde{arphi}(k)$  is a 2-body solution to the Schrödinger eq. for an NN interaction.

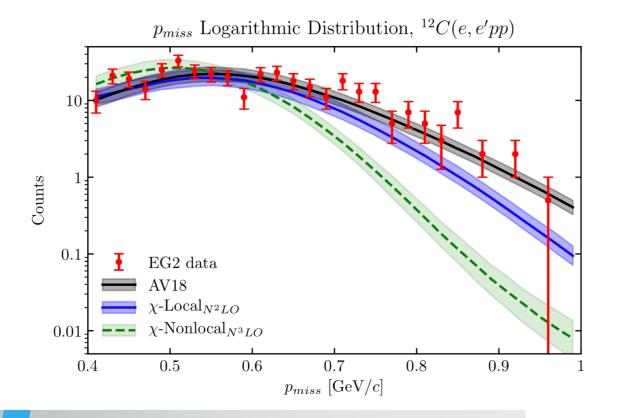
See: R. Weiss et al., PLB 780 (2018) 211-215 and R. Weiss et al., arXiv:1806.10217

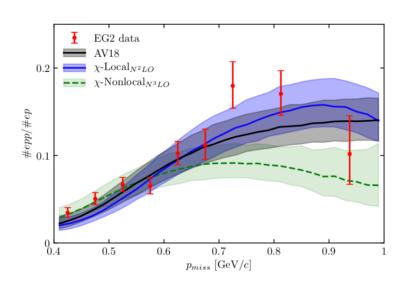
### GCF Event Generator



$$d\sigma \sim \sigma_{eN} \cdot n(\vec{p}_{CM}) \cdot \sum_{\alpha} C_{\alpha} |\tilde{\varphi}_{\alpha}(k)|^{2}$$

## Missing Momentum Distributions





- GCF agrees with EG2 data.
- AV18 works well, even up to 1 GeV/c.
- New constraints on *NN* interaction at high-momentum





# Study of neutrino energy reconstruction using electron scattering data

Mariana Khachatryan - ODU

#### Neutrino Energy Reconstruction for QE reactions

#### Cherenkov detectors:

- Detect: e-, muons & pions.
- Miss: protons and neutrons.

# Lepton kinematics: [(e,e') or(v,l)]

$$E_{\text{QE}} = \frac{2M\varepsilon + 2ME_1 - m_l^2}{2(M - E_1 + |k_1|\cos\theta)}$$

 $\varepsilon \approx 20$  MeV single nucleon separation energy

*M*-nucleon mass

 $m_1$  outgoing lepton mass

 $k_1$  – lepton three momentum

 $\theta$  – lepton scattering angle

#### Tracking detectors:

- Detect: Charged particles  $+\pi^0$ .
- Miss: Neutrons and charge particles below threshold.

# Final state Calorimetry [(e,e'pX) or (v,lX)]

$$E_{\text{Cal}} = E_e^{'} + \sum T_p + E_{\text{Binding}} + \sum E_{\pi}$$

 $E_{\text{Binding}}$  – Binding energy

 $T_p$  – kinetic energy of knock out proton

 $E_{e}^{'}$  – energy of scattered electron

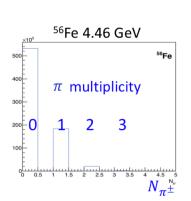
 $E_{\pi}$  – energy of produced meson

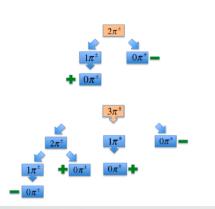
#### Background Subtraction in (e,e') analysis

Neutrino analysis select 0  $\pi$  events to maximize QE sample.

#### Data Driven Correction:

- 1. Use measured (e,e' $\pi$ ) events,
- 2. Rotate  $\pi$  around q to determine its acceptance,
- 3. Subtract undetected (e,e' $\pi$ ) contributions,
- 4. New: Do the same for  $2\pi$ ,  $3\pi$ .





е

 $(e,e'\pi)$ 

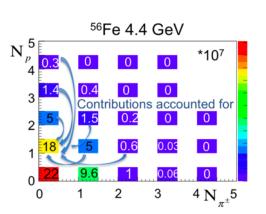
#### Background Subtraction in (e,e'p) analysis

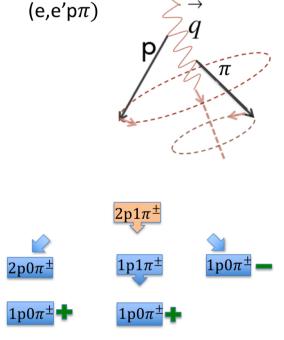
e

Subtract for undetected  $\pi$  and multiple p.

#### **Data Driven Correction:**

- 1. Use measured (e,e'p $\pi$ ) events,
- 2. Rotate  $\pi$  around q to determine its acceptance,
- 3. Subtract (e,e'p $\pi$ ) contributions
- 4. New: do the same for 2p, 3p 2p+  $\pi$  etc





#### Large A dependence

$$E_{\text{Cal}} = E'_e + T_p + E_{\text{Binding}}$$

$$E_{QE} = \frac{2M\varepsilon + 2ME_I - m_i^2}{2(M - E_I + |k_I|\cos\theta)}$$

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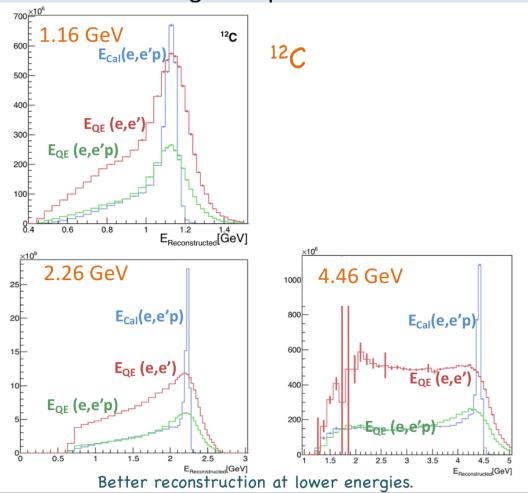
$$E_{QE} = \frac{2M\varepsilon + 2M\varepsilon + 2M\varepsilon$$

1. $E_{QE}$  has worse peak resolution than  $E_{Cal.}$  2.Same tail for  $E_{QE}+E_{Cal.}$ 

3.<sup>56</sup>Fe is predominantly tail.

4.56Fe is much worse than 4He.

#### Large E dependence



# Electrons for Neutrinos Simulation



Afroditi Papadopoulou, Adi Ashkenazi (MIT)



### **vA Interaction Modelling**

Neutrino event generators are used to simulate a vA interaction

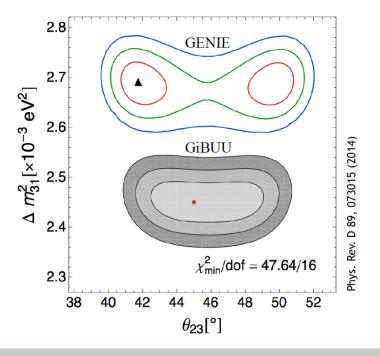
Among those:



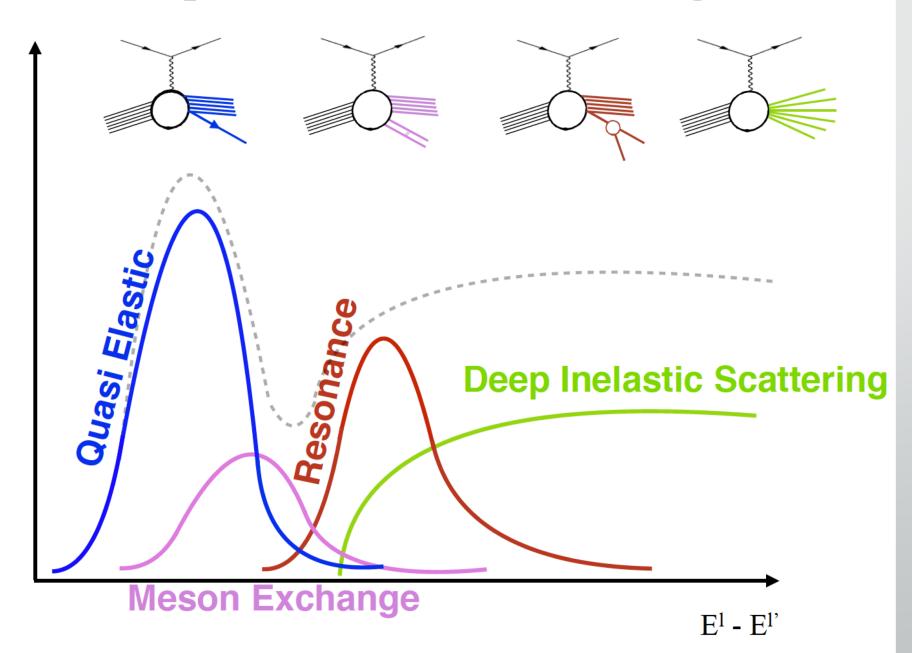


and many more

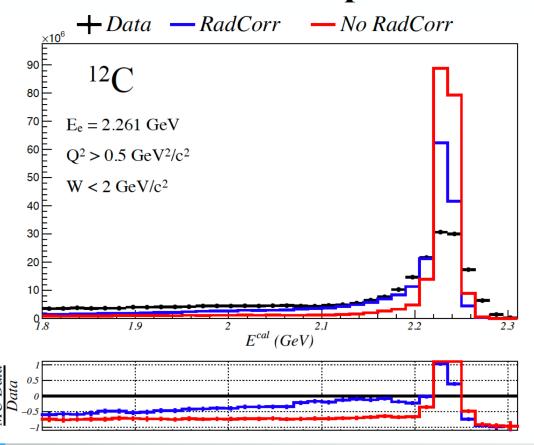
## Nuclear uncertainties are significant



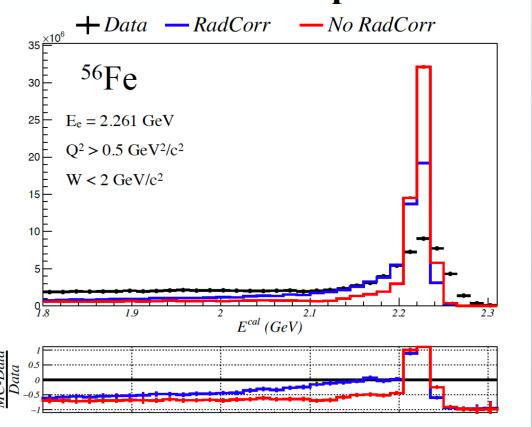
# E<sub>\nu</sub> Reco Requires Interaction Modeling



## **Data to Simulation Comparison**



## **Data to Simulation Comparison**



# Analysis Updates on the EG2 $\Lambda$ Study

## **Taya Chetry**

Lamiaa El Fassi Mississippi State University

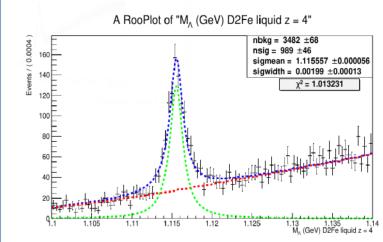
CLAS Collaboration Meeting 03/07/2019





## $\Lambda$ Hadronization study using CLAS eg2

## Summary

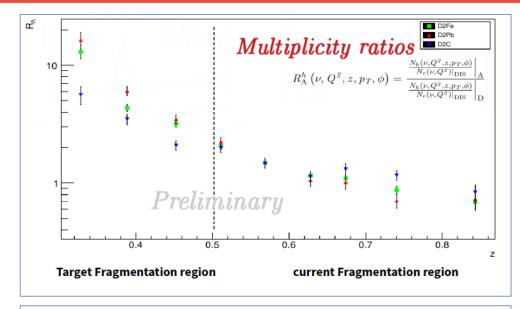


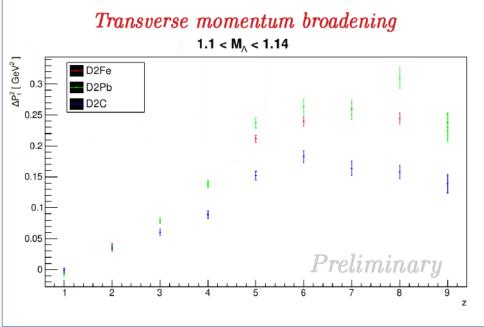
#### $\Lambda$ yield extraction:

Event mixing/combinatorial background and Breit-Wigner combined using  $\chi^2$  minimization (RooFit).

#### Ongoing and Future directions:

- Validation of PYTHIA event generator: Nice looking  $\Lambda$  invariant mass peaks for different targets.
- Acceptance corrections: GSIM+GPP+ RECSIS. Compare simulated to exptl. data
- Radiative corrections.
- Systematic Studies: such as PID, etc.
- Study other dependencies of  $R_{\Lambda}$ ,  $P_{T}^{2}$ , Cronin effect, etc.





#### Color Propagation Analysis Updates for Pi Plus

#### Sebastián Morán Vásquez



Universidad Técnica Federico Santa María Physics Department Casa Central, Valparaíso

7 de marzo de 2019

#### Situation:

We have two independent analysis, here we call them:

- Santa Maria University analysis (SMU).
- Raphael Dupre Analysis (RD).

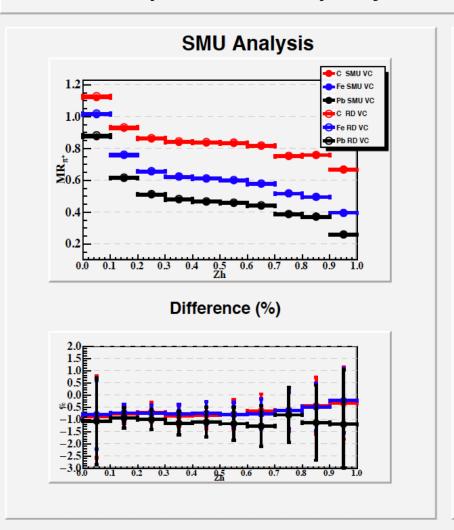
which give different final results.

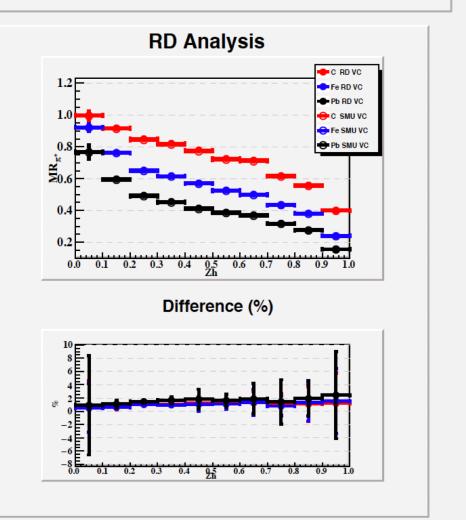
#### What are the differences between the analysis?

- The selection criteria (Particle Identification).
- The Vertex cuts, for electrons.
- The Set of Simulations.
- The Method of doing the Acceptance Correction.
  - ullet USM o Bin by Bin base Correction.
  - ullet RD o Event by Event base Correction.
- Number of variables consider in the Acceptance Correction:
  - USM  $\rightarrow$  Zh , Q2,  $P_t^2$ , Xb and PhiPQ bins (this is called 5D case).
  - RD  $\rightarrow$  Zh , Q2,  $P_t^2$  and Xb bins (this is called 4D case).

## There are two sets of vertex cuts. If we mixed them

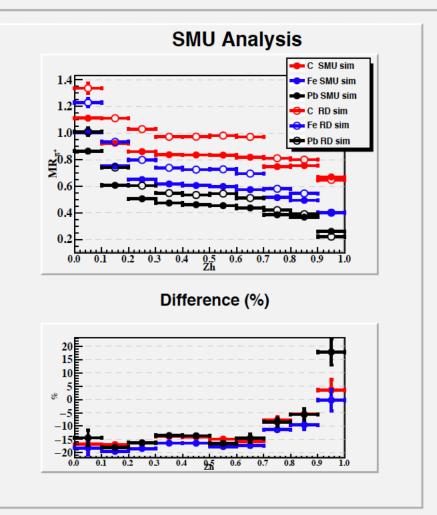
#### Comparison of Multiplicity Ratios integrated over (Xb, Pt2, Q2, PhiPQ)

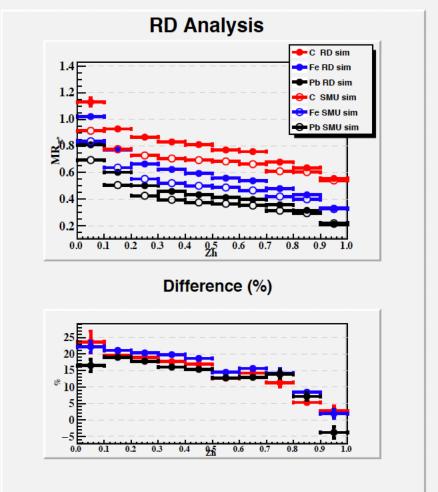




If we only mixed the set of simulations.

#### Comparison of Multiplicity Ratios integrated over (Xb, Pt2, Q2)





## BSA of Coherent $\pi^0$ DVMP on Helium-4

Frank Thanh Cao

Advisor: K. Joo

Co-Advisor: K. Hafidi

University of Connecticut

March 2019

When embedded in the nucleus,

- What about proton changes?
- ▶ What remains the same?

Accessing the nuclear generalized parton distributions (GPDs) and form factors (FFs) are a way to approach and answer these questions.

Measuring beam-spin asymmetries (BSA) from DVCS and DVMP processes help to uncover these intricate math. objects.

Nuclear targets offer two distinct channels:

- Coherent (Nucleus stays intact)
- ► Incoherent (Nucleon breaks off and traverses nuclear medium)

# Enter the CLAS EG6 Experiment

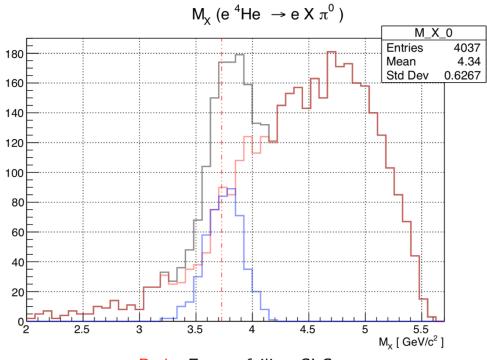
Start with the simplest dense stable nucleus: <sup>4</sup>He.

Measure the BSA for exclusive processes to get at nuclear and modified nucleonic FFs and GPDs.

	Channel	Process		BSA
		DVCS:	$\left( {\it e}^{-4}{ m He},{\it e}^{-4}{ m He}\;\gamma  ight)$	Published <sup>1</sup>
	Coherent	DVMP:	$ \left(e^{4}\text{He}, e^{4}\text{He} \pi^{0}\right) $ $\left(e^{4}\text{He}, e^{4}\text{He} \eta\right)$	This talk Stats. too low
	Incoherent	DVCS :	$^4\mathrm{He}(e,e\;p\;\gamma)X$	Under review
		DVMP:	$^4\mathrm{He}\left(e,e\;p\;\pi^0 ight)X$ $^4\mathrm{He}\left(e,e\;p\;\eta ight)X$	Work in prog. <sup>2</sup> Work in prog. <sup>2</sup>



#### Kin. Fit Applied



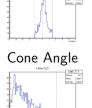
Red: Events failing CLC

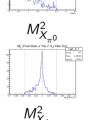
Blue: Events passing CLC

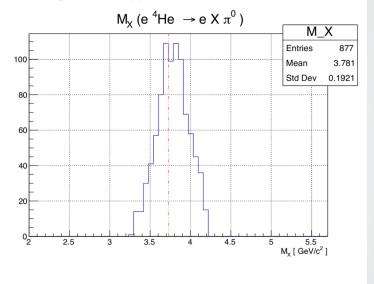
#### Sequential Exclusivity Cuts Applied





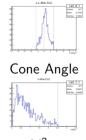


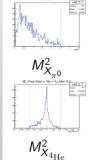


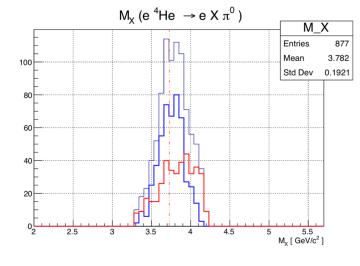


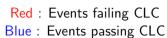












10/12



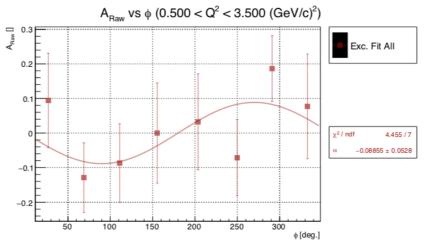
# Beam-Spin Asymmetry Comparison

For

$$e^{4} \mathrm{He} \rightarrow e^{4} \mathrm{He} \ \pi^{0}$$
 , (1)

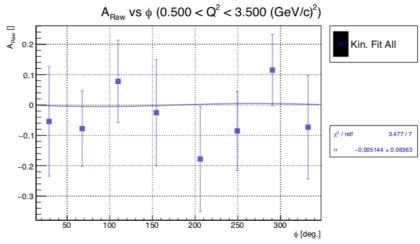
the BSA is obtained from two different event selection methods:

## **Exclusivity Cuts**



$$BSA = -8.9 \pm 5.3 \%$$
 (800 events)

# Kinematic Fit



$$BSA = -0.5 \pm 6.3 \%$$
 (537 events)

## Summary

- ▶ The BSA of coherent  $\pi^0$  electroproduction off  $^4{\rm He}$  is consistent with 0 (-1.08±3.22%)
  - Benchmark measurement for Ji's formulation
- Event selection plays a crucial role
- Exclusivity cuts require some cleverness
  - Intimate knowledge of the dataset and reaction needed to remove background and to clean the dataset
- Kin. fitting does not
  - It uses both detector resolutions and conservation law constraints to do a fantastic job in rejecting background
  - Some of these events cannot be rejected by any obvious series of cuts
- ► Kinematic fitting should be used in more analyses!<sup>3</sup>

<sup>&</sup>lt;sup>3</sup>The repo contains the library, FCKinFitter, with a wiki and working examples to help install, set up, and use kinematic fitting in (hopefully) an intuitive way.