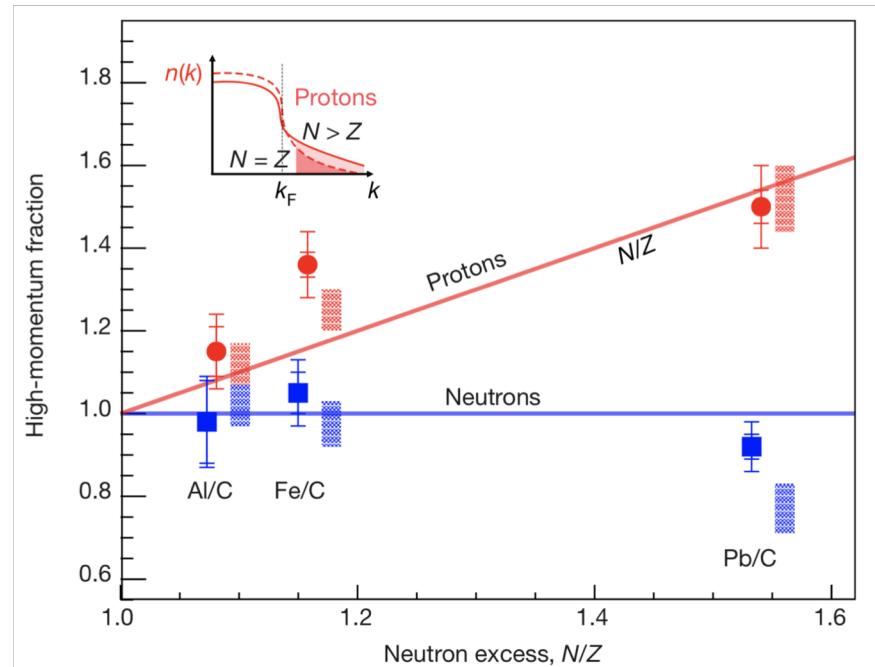
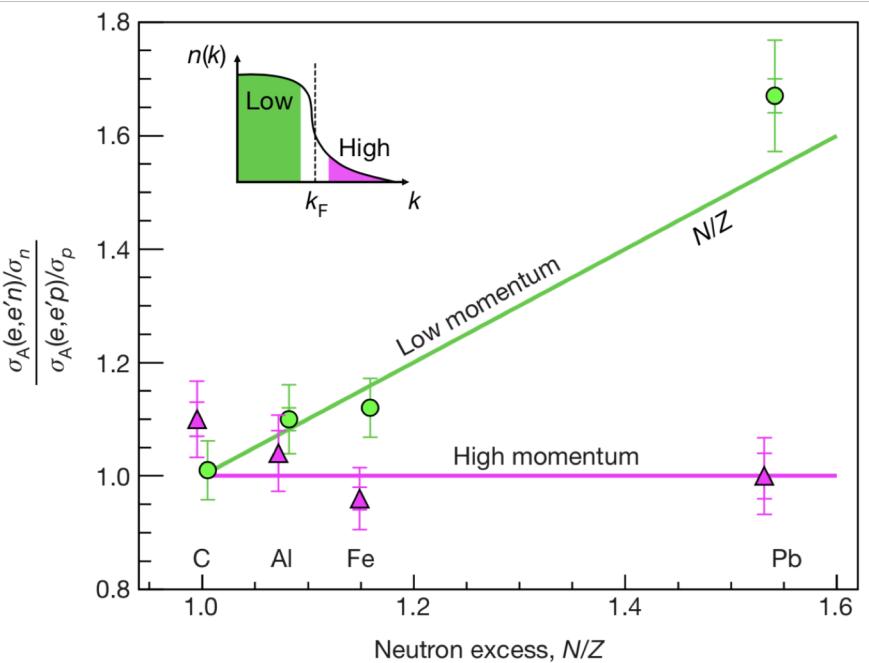



Probing 2N-SRC via ($e,e'N$) reactions off $^{3,4}\text{He}$ (^{12}C)

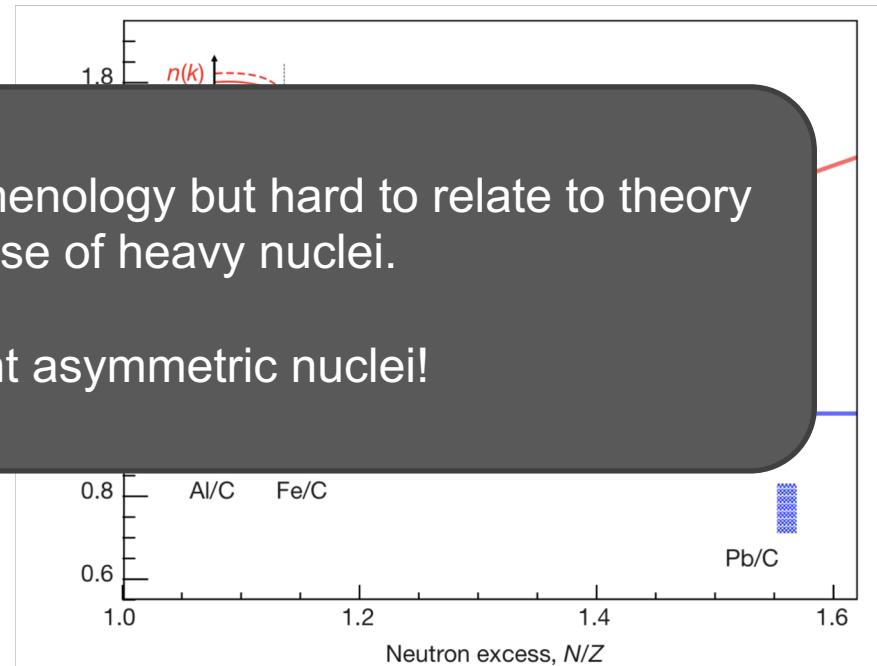
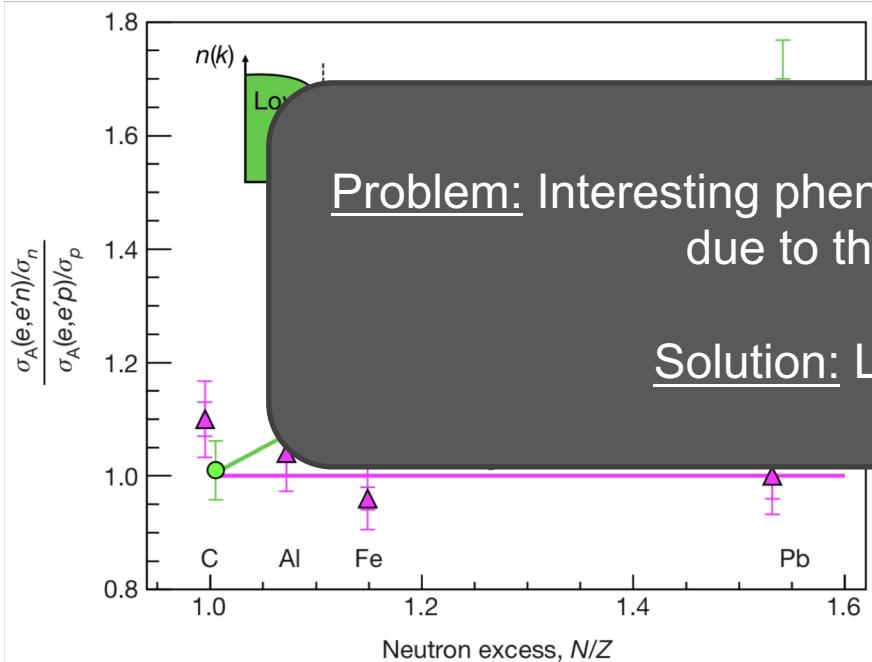
Using e2a data

Peninah Levine
March 7, 2019

SRC in n. Rich systems



SRC in n. Rich systems



Problem: Interesting phenomenology but hard to relate to theory due to the use of heavy nuclei.

Solution: Light asymmetric nuclei!

Relevant observables in 'SRC' kinematics

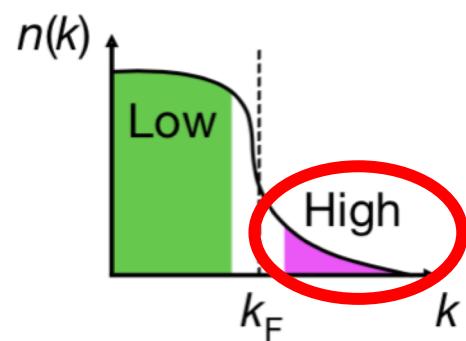
Benchmark in 'SRC Kinematics':

$^{12}\text{C} / ^4\text{He}$ (e,e'p)

$^{12}\text{C} / ^4\text{He}$ (e,e'n)

^{12}C (e,e'p) / (e,e'n)

^4He (e,e'p) / (e,e'n)



Relevant observables in 'SRC' kinematics



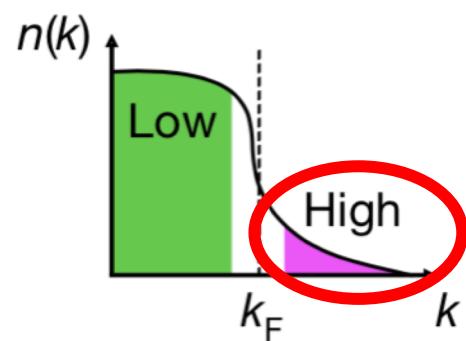
Benchmark in 'SRC Kinematics':

$^{12}\text{C} / {}^4\text{He}$ (e,e'p) } Should equal $a_2({}^{12}\text{C}/{}^4\text{He})$

$^{12}\text{C} / {}^4\text{He}$ (e,e'n) } Should equal each other

^{12}C (e,e'p) / (e,e'n) } Should equal $\sigma_{e-n} / \sigma_{e-p}$

${}^4\text{He}$ (e,e'p) / (e,e'n) }



Relevant observables:

Benchmark in ‘SRC Kinematics’:

^{12}C / ^4He (e,e'p)

^{12}C / ^4He (e,e'n)

^{12}C (e,e'p) / (e,e'n)

^4He (e,e'p) / (e,e'n)

Physics:

^3He / ^4He (e,e'p)

^3He / ^4He (e,e'n)

$^3\text{He}(\text{e},\text{e}'\text{p})$ / $^3\text{He}(\text{e},\text{e}'\text{n})$

TODAY:

Benchmark in 'SRC Kinematics':

$^{12}\text{C} / ^4\text{He}$ (e,e'p)

~~$^{12}\text{C} / ^4\text{He}$ (e,e'n)~~

^{12}C (e,e'p) / (e,e'n)

^4He (e,e'p) / (e,e'n)

Physics:

$^3\text{He} / ^4\text{He}$ (e,e'p)

~~$^3\text{He} / ^4\text{He}$ (e,e'n)~~

~~$^3\text{He}(e,e'p) / ^3\text{He}(e,e'n)$~~



$^{12}\text{C} / {}^4\text{He}$ (e,e'p)

${}^3\text{He} / {}^4\text{He}$ (e,e'p)

Nucleus

(e,e'p): Event Selection

e^- fiducial cuts

$$x_B > 1.2$$

$$\theta_{pq} < 25^\circ$$

$$\frac{p}{q} > 0.62$$

$$\frac{p}{q} < 0.96$$

$$P_{miss} > 0.3$$

$$P_{miss} < 1$$

Proton fiducial cuts

$$(^{12}\text{C}) \quad v_z > 4 \text{ cm}$$

$$(^{12}\text{C}) \quad v_z < 7 \text{ cm}$$

$$(\text{He}) \quad v_z > -2.5 \text{ cm}$$

$$(\text{He}) \quad v_z < -0.5 \text{ cm}$$

Fiducial + Z-Vertex cuts.

Nucleus

e^- fiducial cuts

$x_B > 1.2$

$\theta_{pq} < 25^\circ$

$\frac{p}{q} > 0.62$

$\frac{p}{q} < 0.96$

$P_{miss} > 0.3$

$P_{miss} < 1$

Proton fiducial cuts

(^{12}C) $v_z > 4 \text{ cm}$

(^{12}C) $v_z < 7 \text{ cm}$

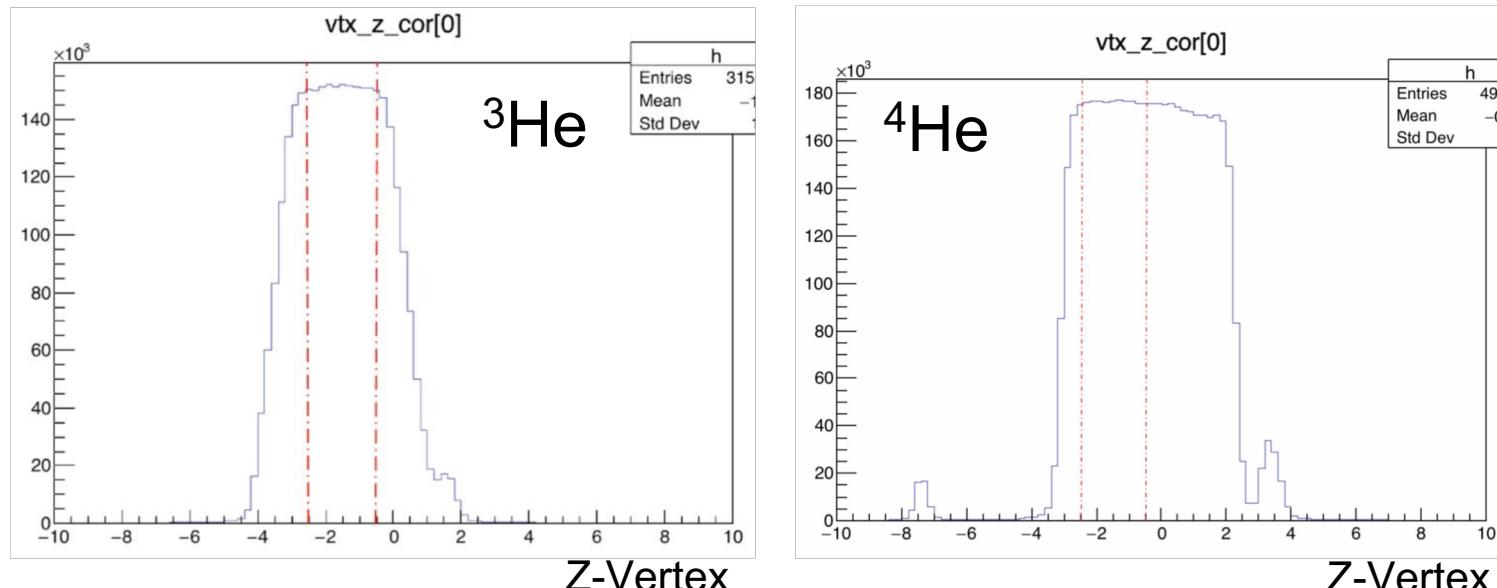
(He) $v_z > -2.5 \text{ cm}$

(He) $v_z < -0.5 \text{ cm}$

(e,e'p): Event Selection

Fiducial + Z-Vertex cuts.

Note: same cut on ^3He and ^4He target to match acceptances for $^3\text{He}/^4\text{He}$ ratio.



Nucleus

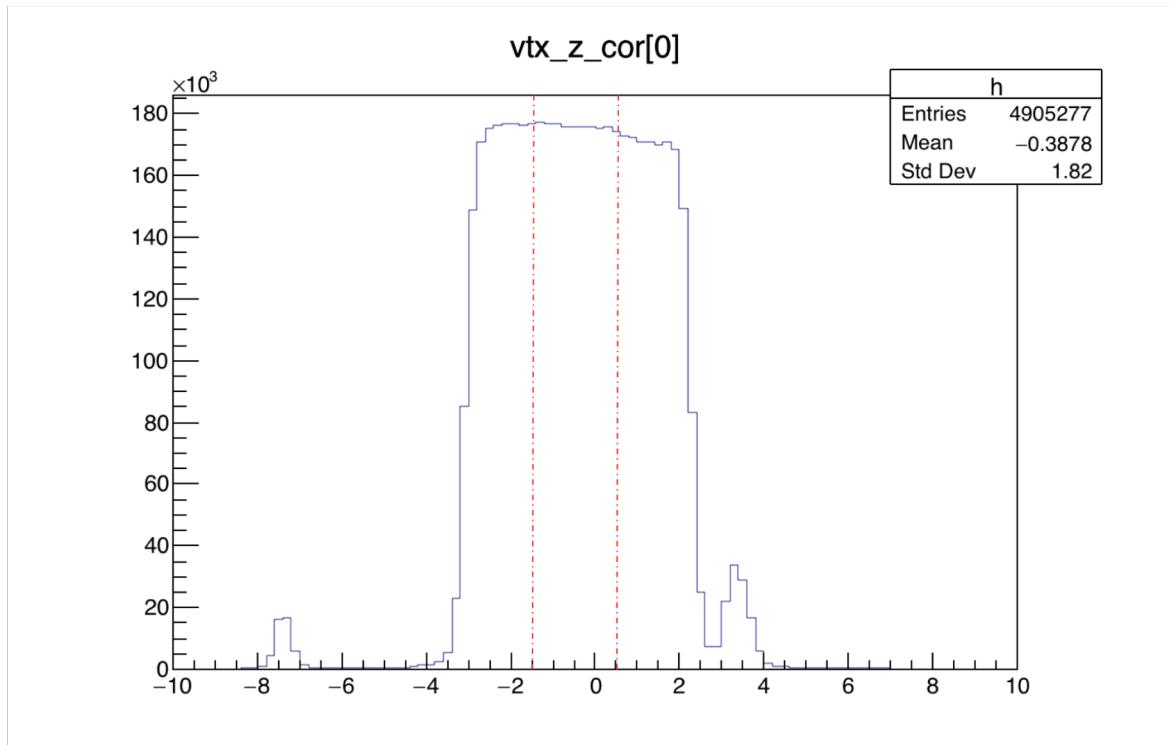
 e^- fiducial cuts $x_B > 1.2$ $\theta_{pq} < 25^\circ$ $\frac{p}{q} > 0.62$ $\frac{p}{q} < 0.96$ $P_{miss} > 0.3$ $P_{miss} < 1$

Proton fiducial cuts

 $(^{12}\text{C}) \nu_z > 4 \text{ cm}$ $(^{12}\text{C}) \nu_z < 7 \text{ cm}$ $(\text{He}) \nu_z > -2.5 \text{ cm}$ $(\text{He}) \nu_z < -0.5 \text{ cm}$ $(^4\text{He}; \text{C ratio}) \nu_z > 0.5 \text{ cm}$ $(^4\text{He}; \text{C ratio}) \nu_z > -1.5 \text{ cm}$

(e,e'p): Event Selection

Note: use different vertex cuts for ${}^4\text{He}$ and ${}^{12}\text{C}$, optimized to include most statistics



Nucleus

e^- fiducial cuts

$x_B > 1.2$

$\theta_{pq} < 25^\circ$

$\frac{p}{q} > 0.62$

$\frac{p}{q} < 0.96$

$P_{miss} > 0.3$

$P_{miss} < 1$

Proton fiducial cuts

(^{12}C) $v_z > 4 \text{ cm}$

(^{12}C) $v_z < 7 \text{ cm}$

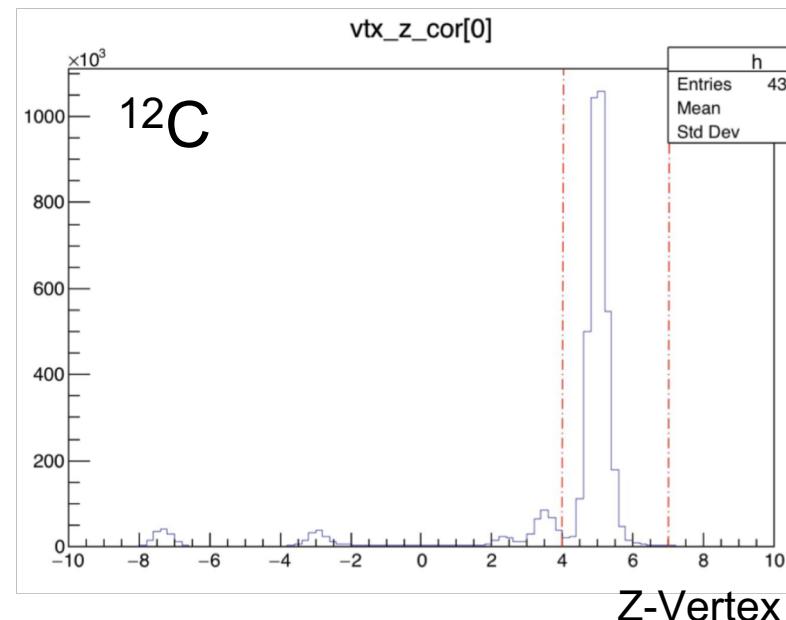
(He) $v_z > -2.5 \text{ cm}$

(He) $v_z < -0.5 \text{ cm}$

(e,e'p): Event Selection

Fiducial + Z-Vertex cuts.

Note: same cut on 3He and 4He target to match acceptances.



Nucleus
e^- fiducial cuts
$x_B > 1.2$
$\theta_{pq} < 25^\circ$
$\frac{p}{q} > 0.62$
$\frac{p}{q} < 0.96$
$P_{miss} > 0.3$
$P_{miss} < 1$
Proton fiducial cuts
(¹² C) $v_z > 4 \text{ cm}$
(¹² C) $v_z < 7 \text{ cm}$
(He) $v_z > -2.5 \text{ cm}$
(He) $v_z < -0.5 \text{ cm}$
(⁴ He; C ratio) $v_z > 0.5 \text{ cm}$
(⁴ He; C ratio) $v_z > -1.5 \text{ cm}$

(e,e'p): Event Selection

'Standard SRC selection cuts'.

[Hen PLB, Hen Science, Cohen PRL, Duer Nature ...]

Kinematical distributions studied and will be included in the report.

Nucleus	^3He	^4He	^{12}C
e^- fiducial cuts	3151792	4905277	4308325
$x_B > 1.2$	16593	28831	25640
$\theta_{pq} < 25^\circ$	16593	28831	25640
$\frac{p}{q} > 0.62$	11511	17469	13850
$\frac{p}{q} < 0.96$	10526	16849	13474
$P_{miss} > 0.3$	4426	8617	7000
$P_{miss} < 1$	4407	8581	6942
Proton fiducial cuts	4143	8122	6655
(^{12}C) $v_z > 4 \text{ cm}$	--	--	5602
(^{12}C) $v_z < 7 \text{ cm}$	--	--	5600
(He) $v_z > -2.5 \text{ cm}$	3023	7179	--
(He) $v_z < -0.5 \text{ cm}$	1962	2969	--

Good
(e,e'p)
Statistics

A / ${}^4\text{He}$ (e,e'p)

$$\frac{A(e,e'p) \cdot w / L / A / T}{4He(e,e'p) \cdot w_{4He} / L_{4He} / A_{He} / T_{He}}$$

- Number of measured events
- 1 / Simulated_Efficiency
 - Only for ${}^{12}\text{C}/{}^4\text{He}$; From map; Applied event-by-event
- Integrated luminosity
- Number of nucleons
- Nuclear Transparency (${}^3\text{He}$: 0.82; ${}^4\text{He}$: 0.75; ${}^{12}\text{C}$: 0.53)

A / ${}^4\text{He}$ (e,e'p)

$$\frac{A(e,e'p) \cdot w / L / A / T}{4He(e,e'p) \cdot w_{4He} / L_{4He} / A_{He} / T_{He}}$$

- Number of measured events
- 1 / Simulated_Efficiency
 - Only for ${}^{12}\text{C}/{}^4\text{He}$; From map; Applied event-by-event
- Integrated luminosity
- Number of nucleons
- Nuclear Transparency (${}^3\text{He}$: 0.82; ${}^4\text{He}$: 0.75; ${}^{12}\text{C}$: 0.53)
 - + remove events where either ${}^4\text{He}$ or ${}^{12}\text{C}$ map efficiency < 80%.

$A / {}^4\text{He}$ ($e, e' p$)



Stat. uncertainties only

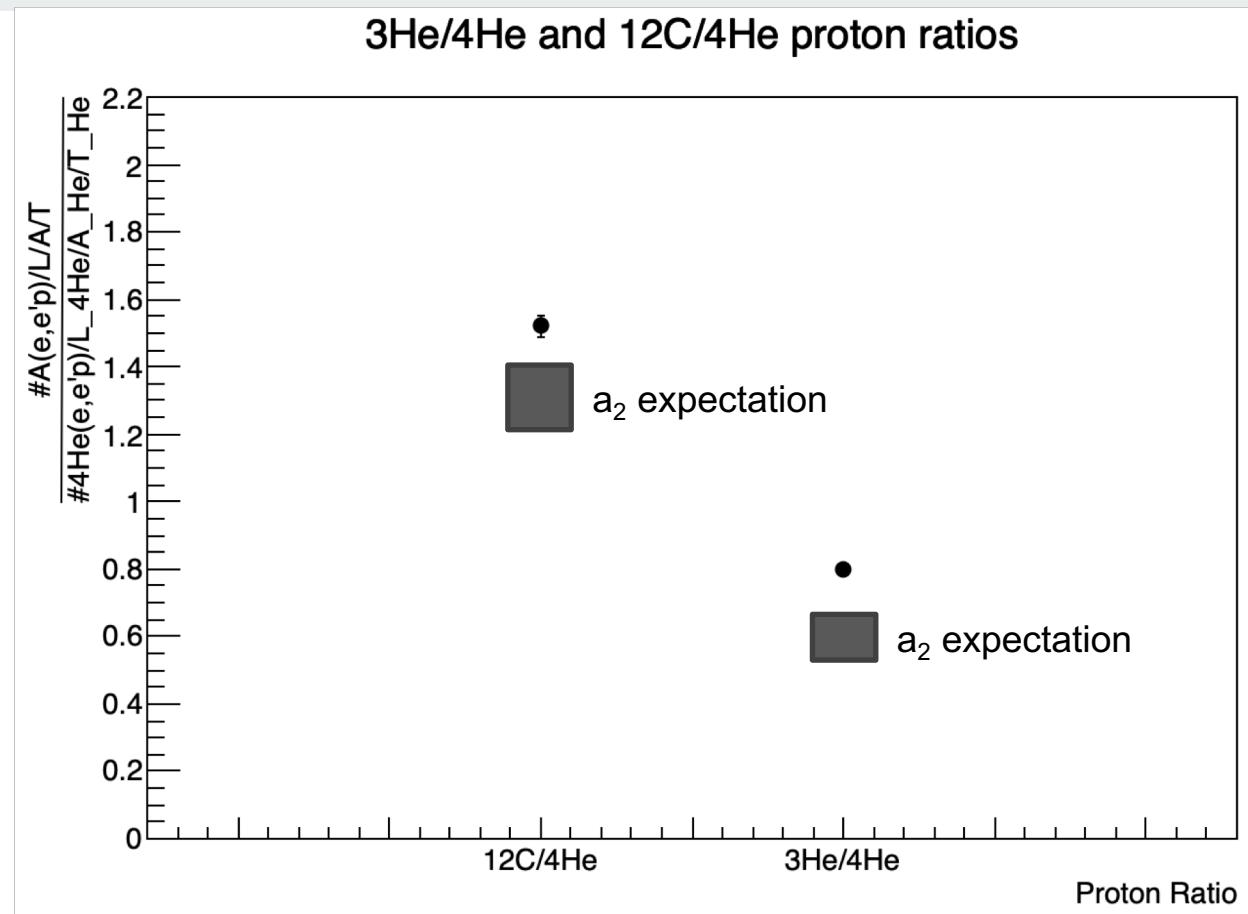
Sys. Uncertainties:

luminosity (~2%)

Transparency

Cut sensitivity

P_{miss} (in)dependence



$A / {}^4\text{He}$ ($e, e' p$)



Stat. uncertainties only

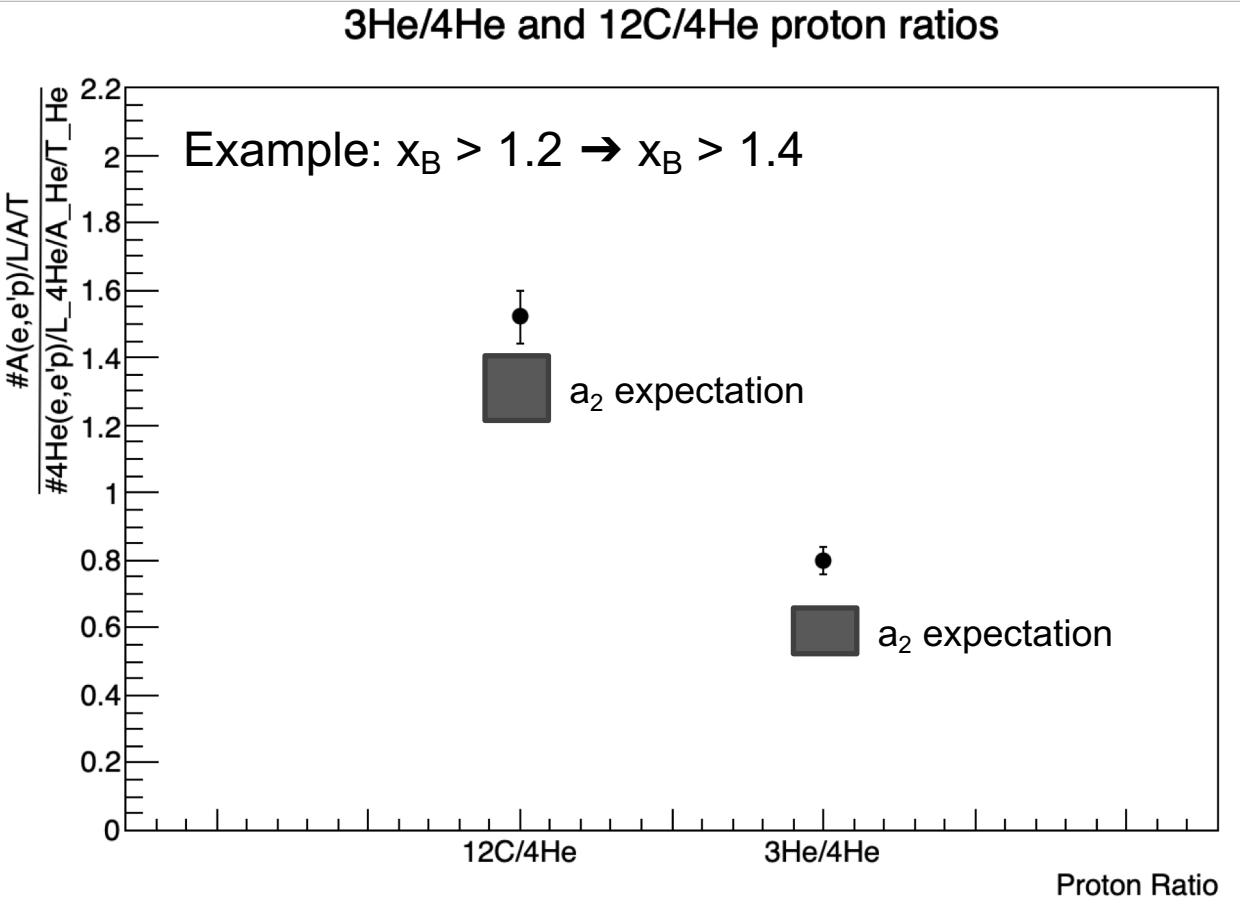
Sys. Uncertainties:

luminosity (~2%)

Transparency

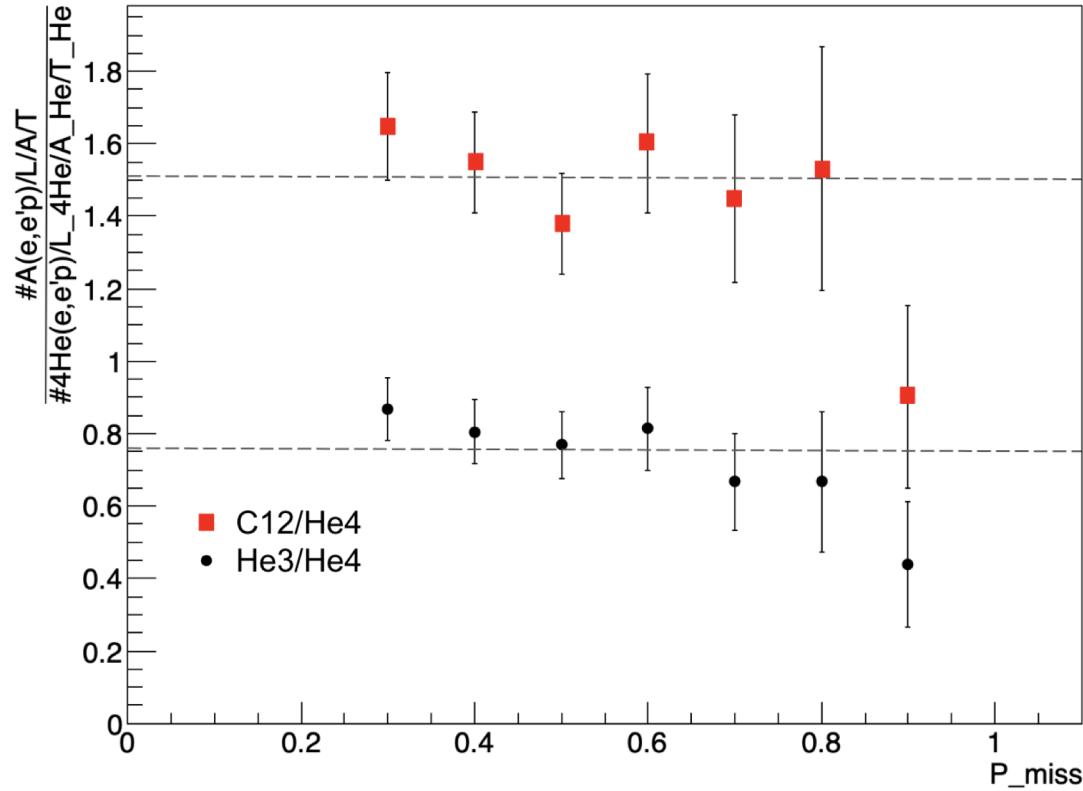
Cut sensitivity

P_{miss} (in)dependence

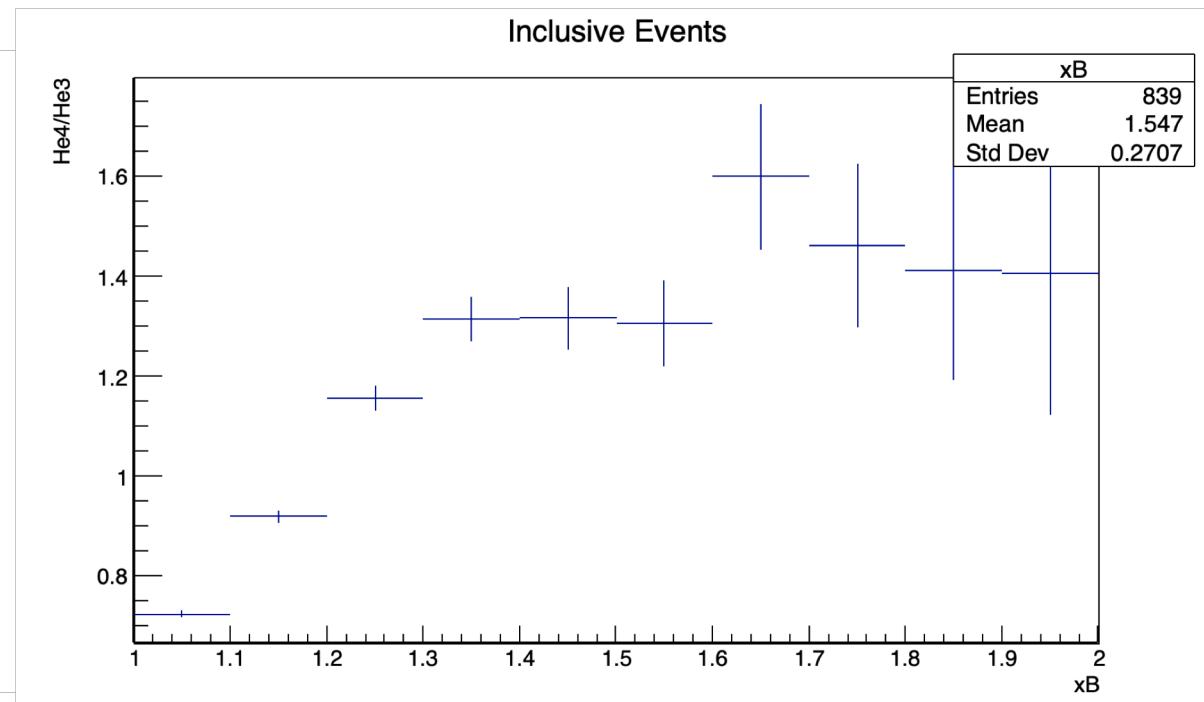
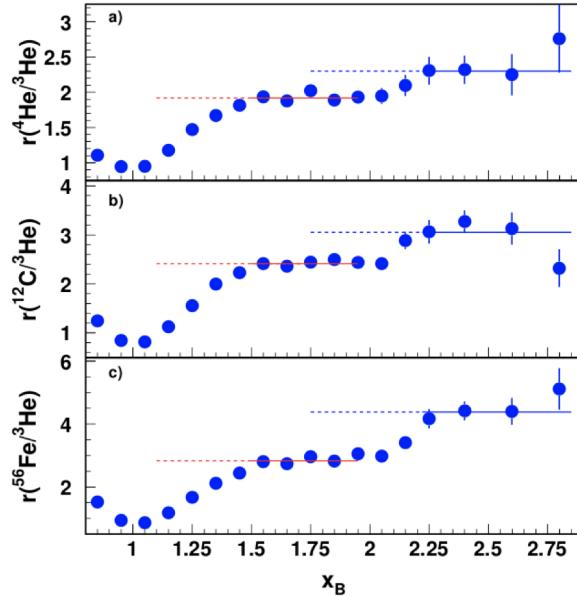


P_miss dependence

3He/4He and 12C/4He proton ratios versus P_miss



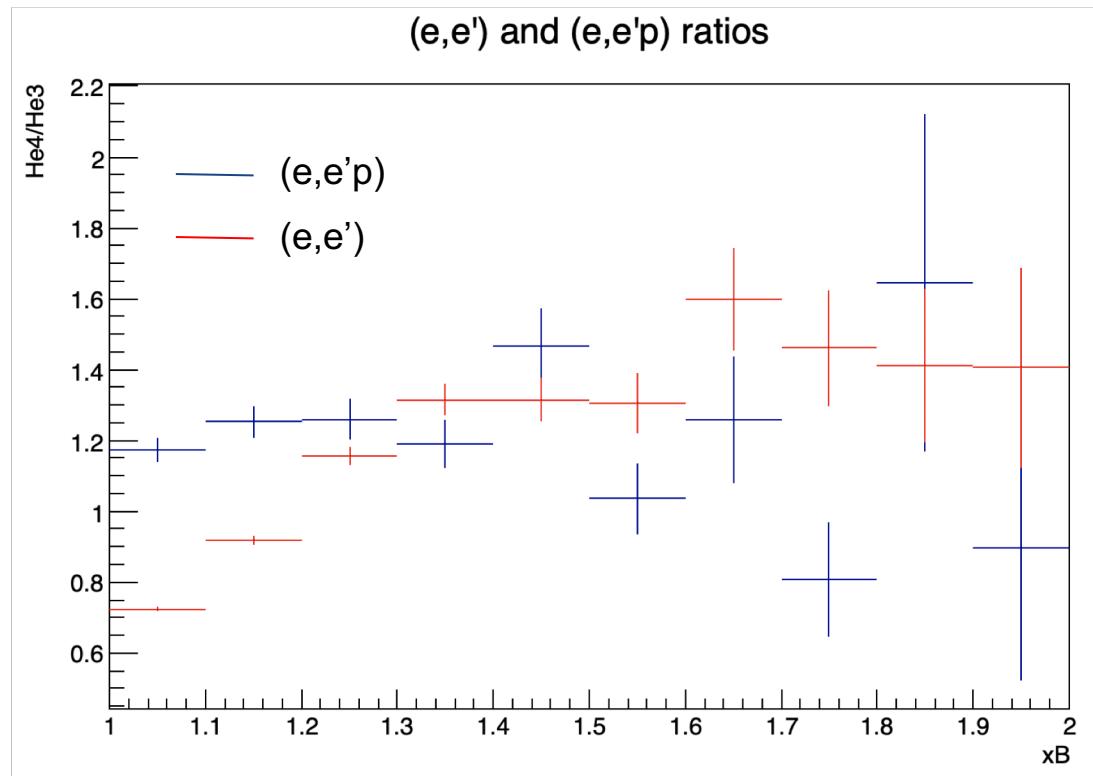
Comparing to Egiyan



Source: Egiyan. "Study of Short Range Correlations in $A(e,e')$ Reactions at $1 < x_B < 3$." 2006.

He3/He4 χB Dependence

— ■ —



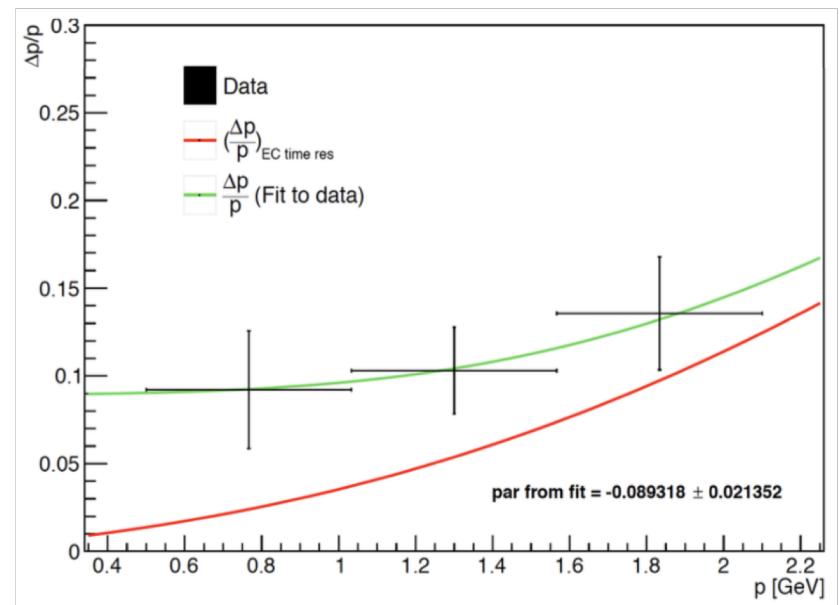
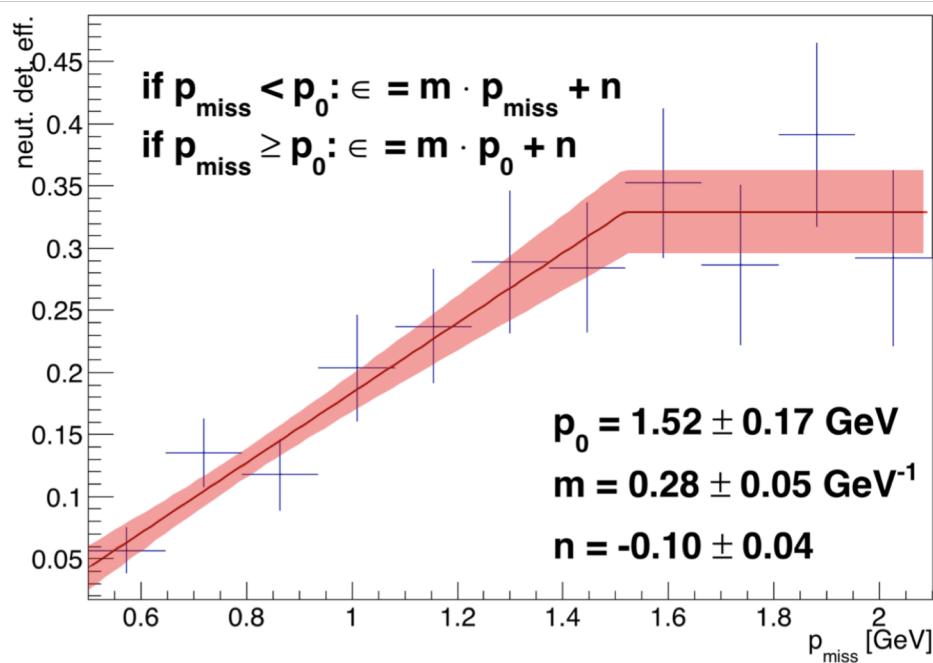
Relevant observables:

^{12}C (e,e'p) / (e,e'n)

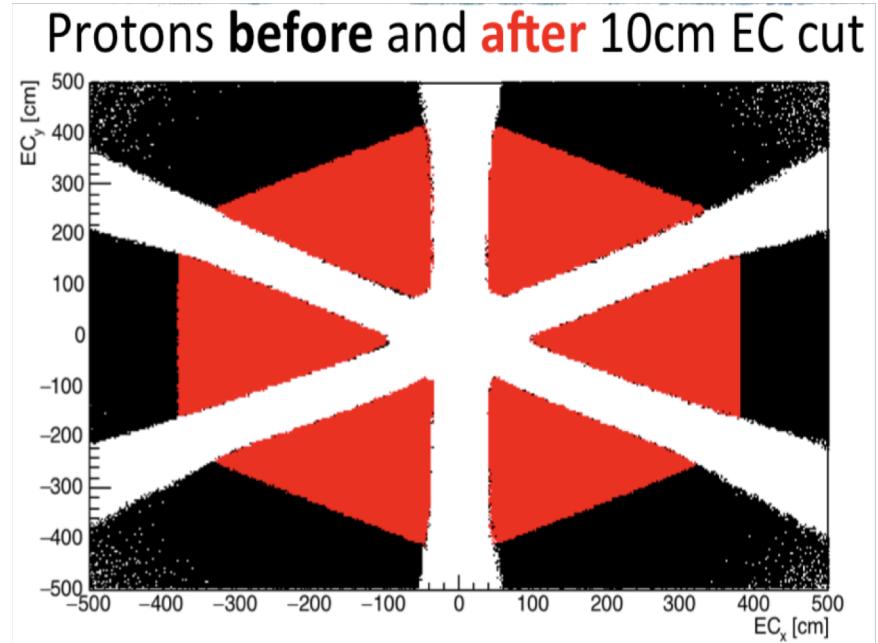
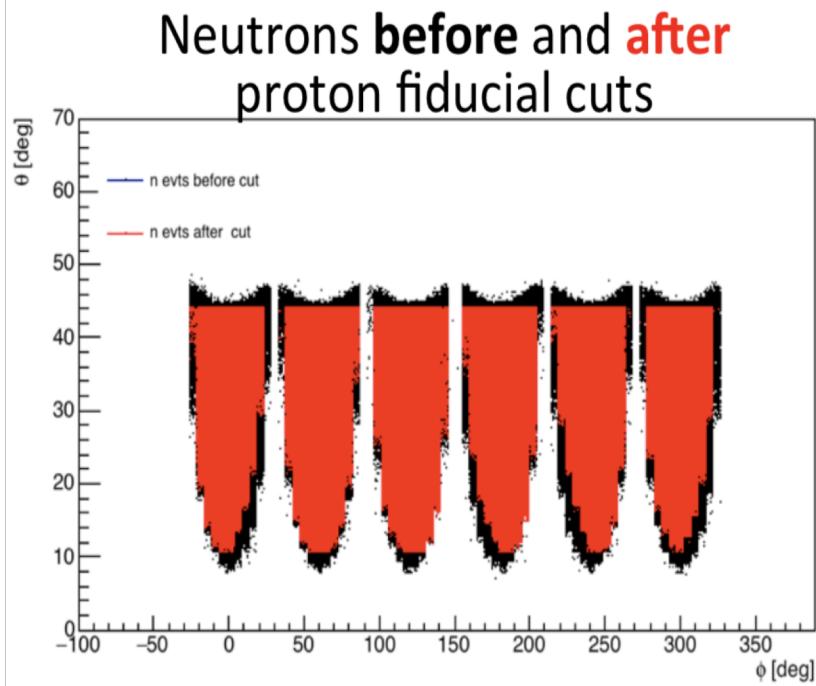
^4He (e,e'p) / (e,e'n)

Neutrons: Detection efficiency & momentum reco. Resolution

Follow Duer Nature 2018; Details in the report

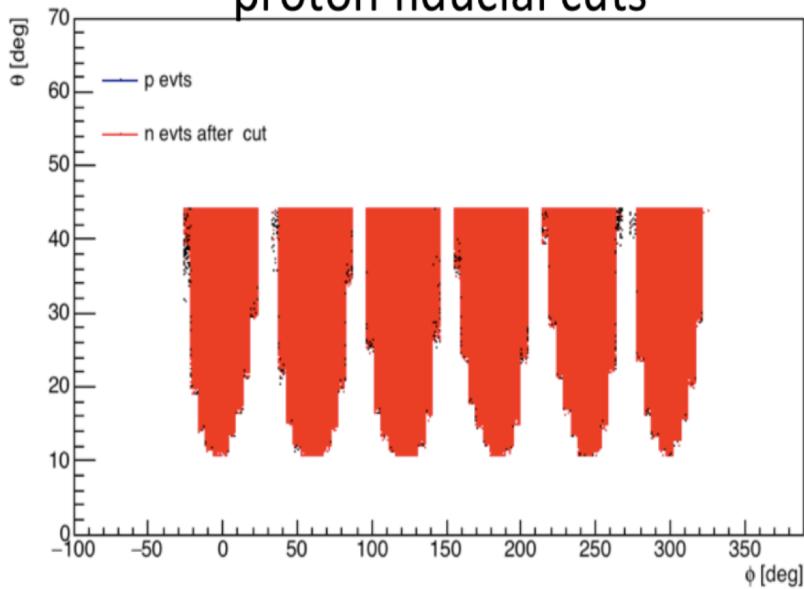


Acceptance Matching: p-fiducials on neutrons; n-fiducials on protons.

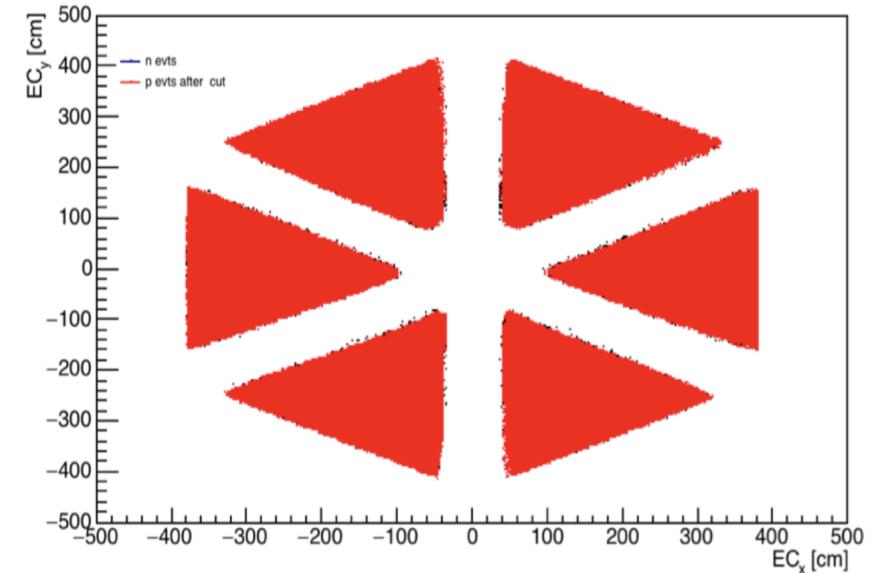


Acceptance Matching: p-fiducials on neutrons; n-fiducials on protons.

Neutrons and **protons** after
proton fiducial cuts



Protons and **neutrons** after 10cm EC cut



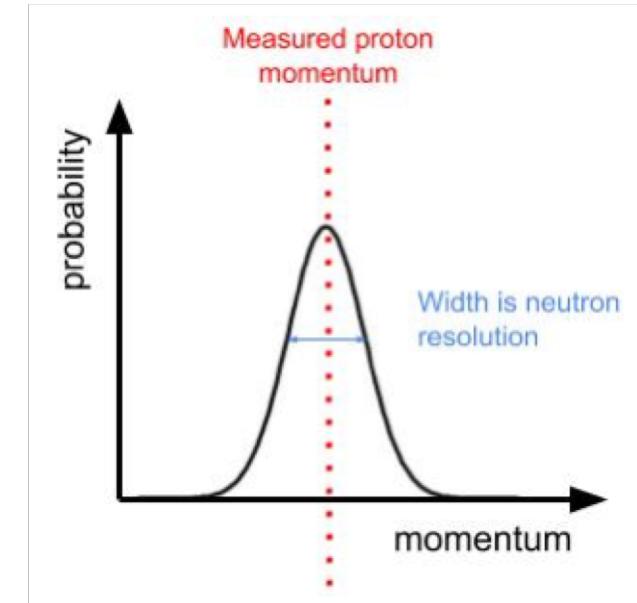
Smearing protons to simulate neutron resolution

Why

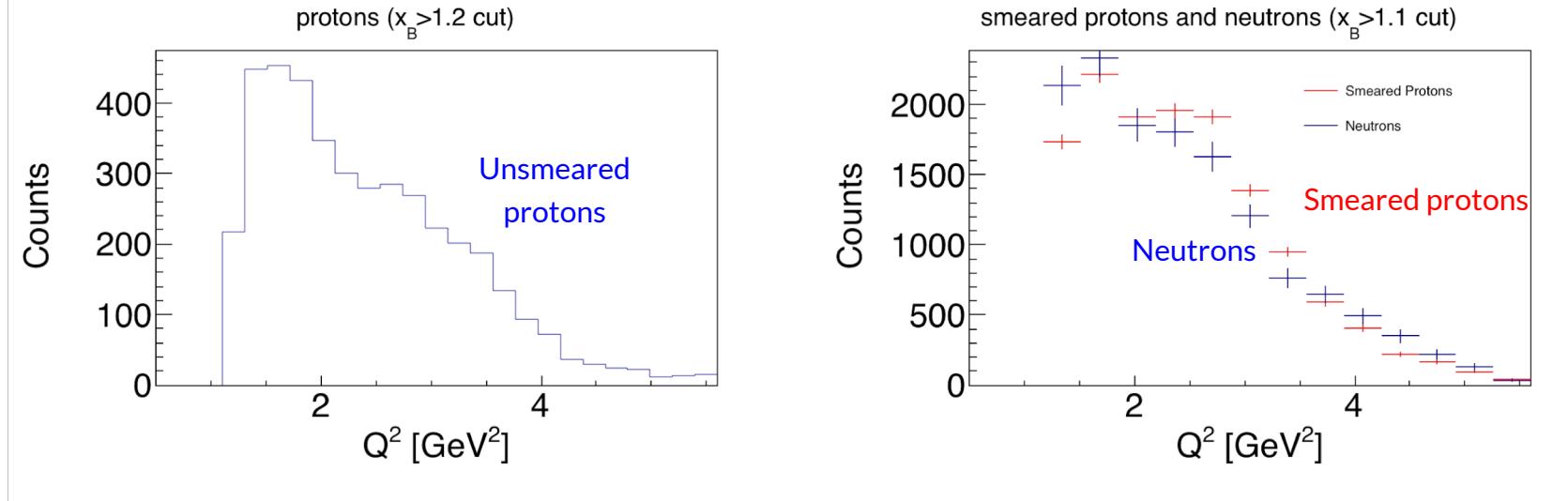
Poor neutron momentum
resolution

How

Smear protons by neutron
momentum resolution

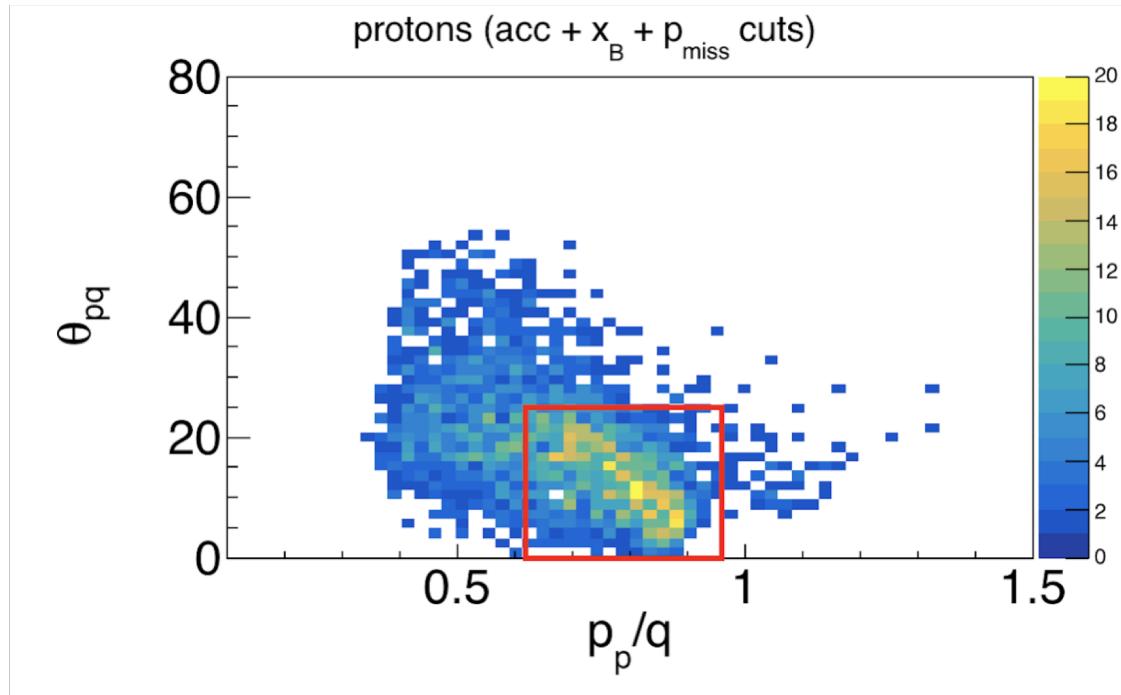


x_B cut on neutrons and smeared protons

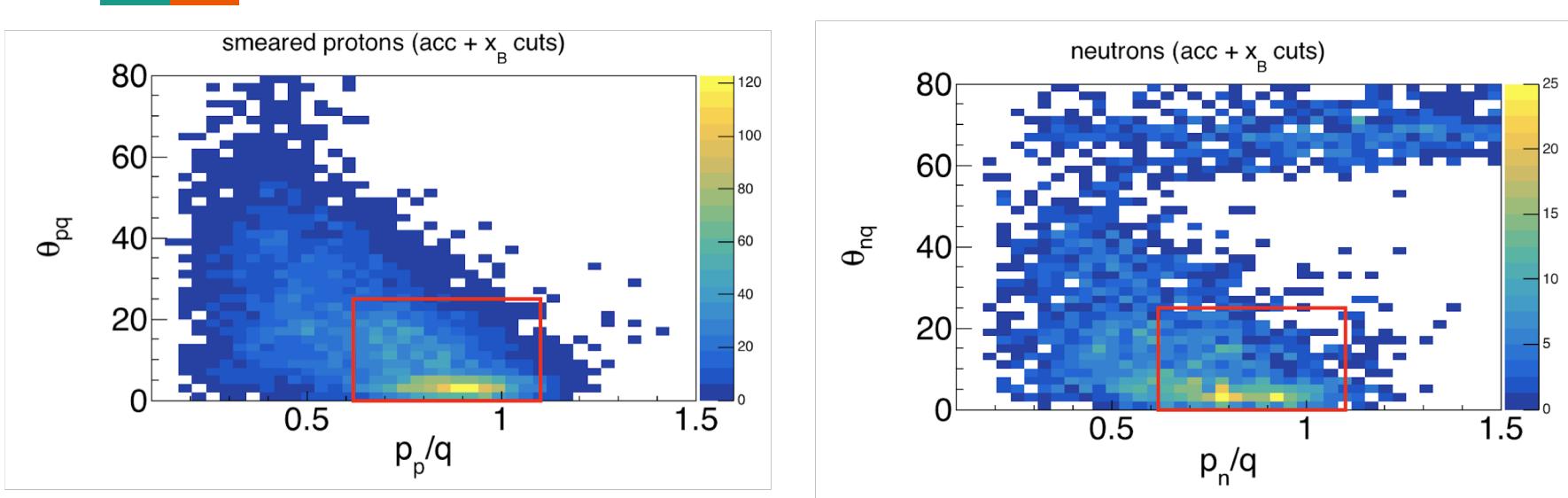


$x_B > 1.1$

Leading nucleon cuts: θ_{pq} and p_p/q



Leading nucleon cuts: θ_{pq} and p/q



$\theta_{nq} < 25^\circ$

$0.62 < P_N/q < 1.1$

Summary of smeared proton and neutron cuts

$$x_B > 1.1$$

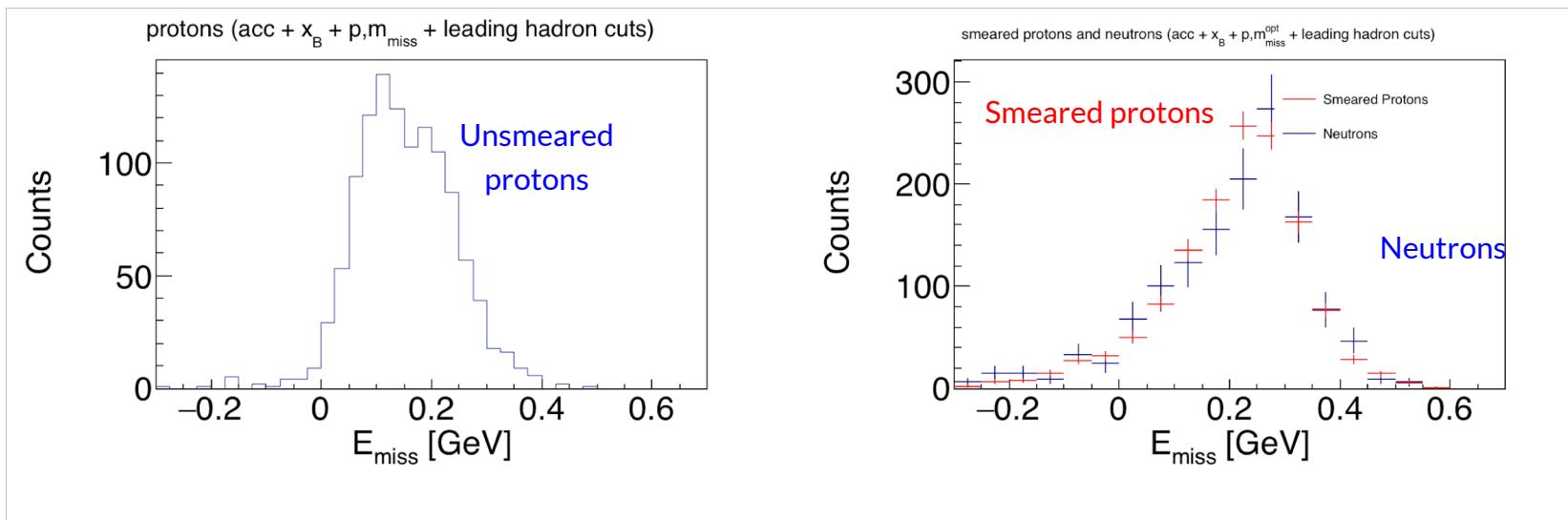
$$0^\circ < \theta_{pq} < 25^\circ$$

$$0.62 < \theta_{pq} < 1.10$$

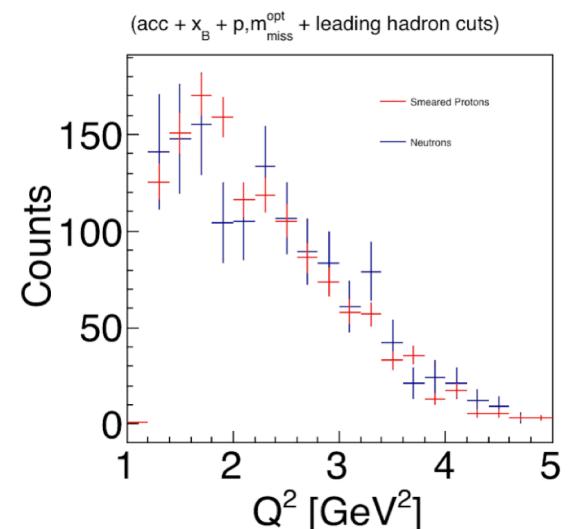
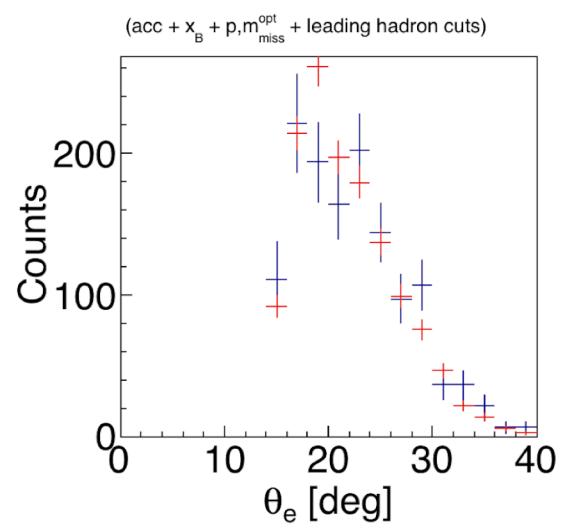
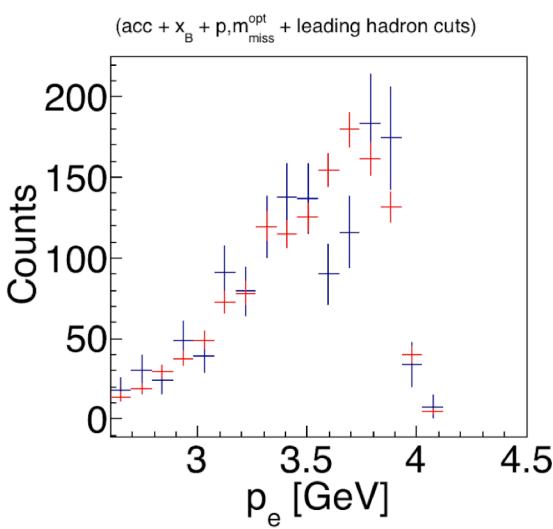
$$0.402 < P_{\text{miss}} < 1.000 \text{ GeV}/c$$

$$M_{\text{miss}} < 1.175 \text{ GeV}/c^2$$

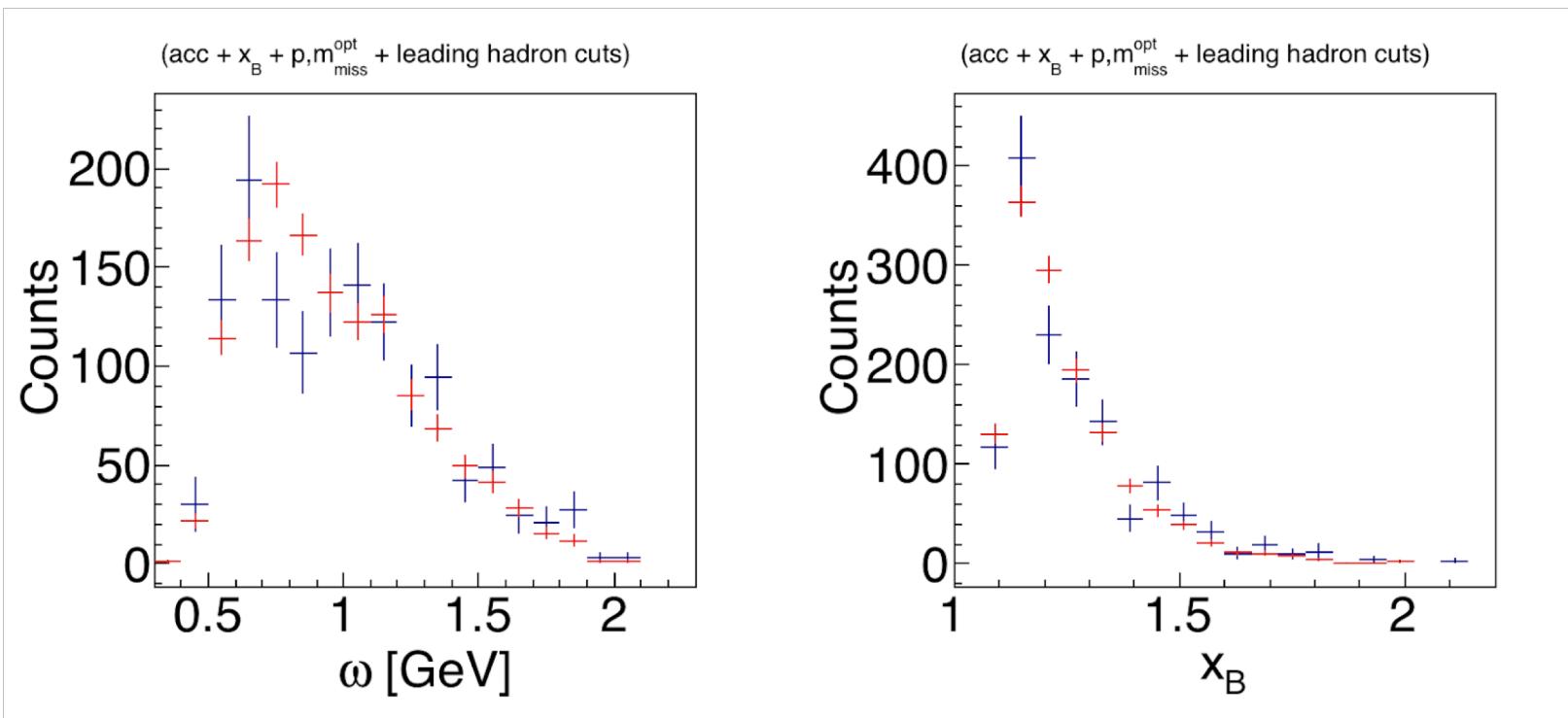
Checking selected cuts using E_{miss} distributions



Checking selected cuts using e^- kinematic variables

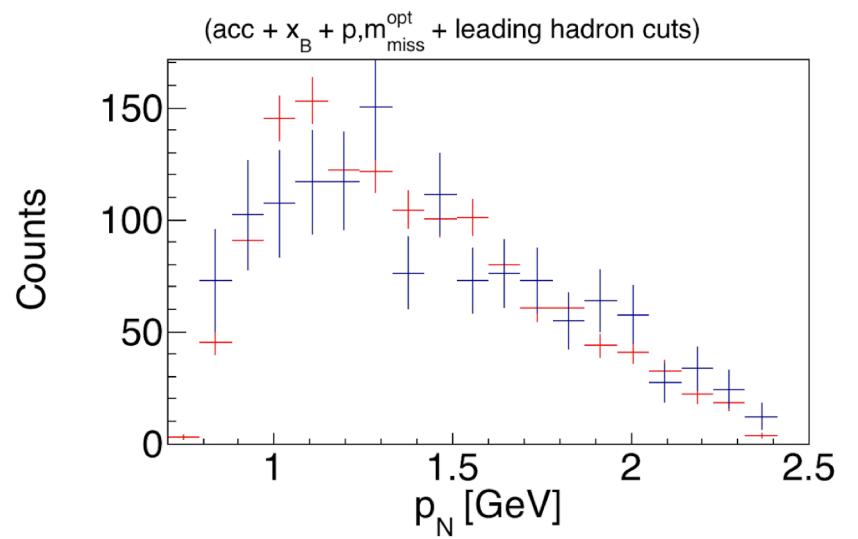
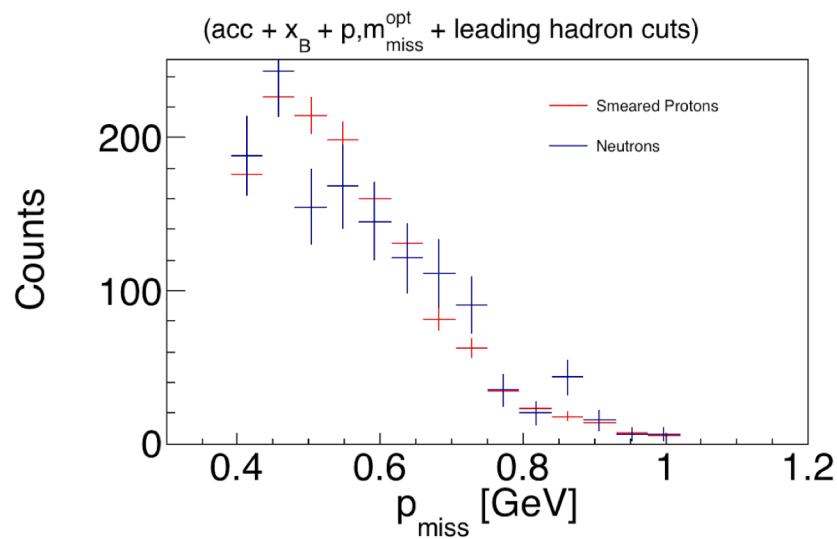


Checking selected cuts using e⁻ kinematic variables



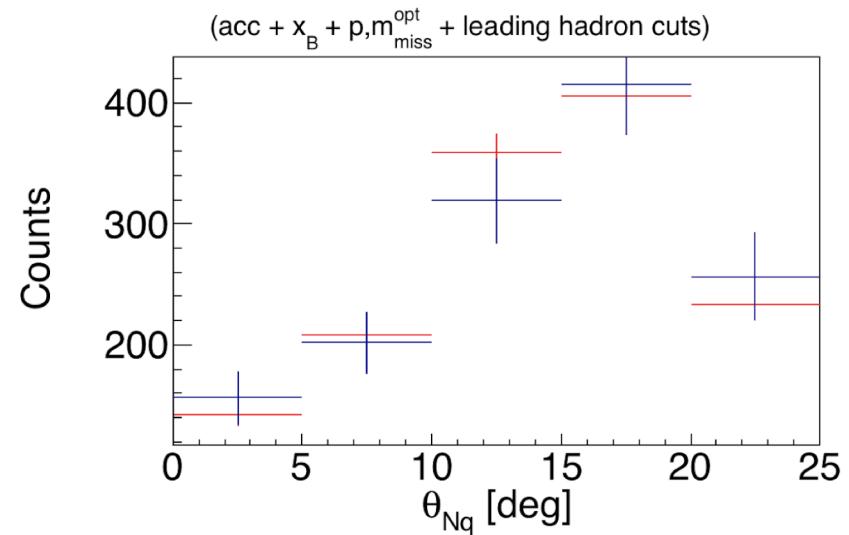
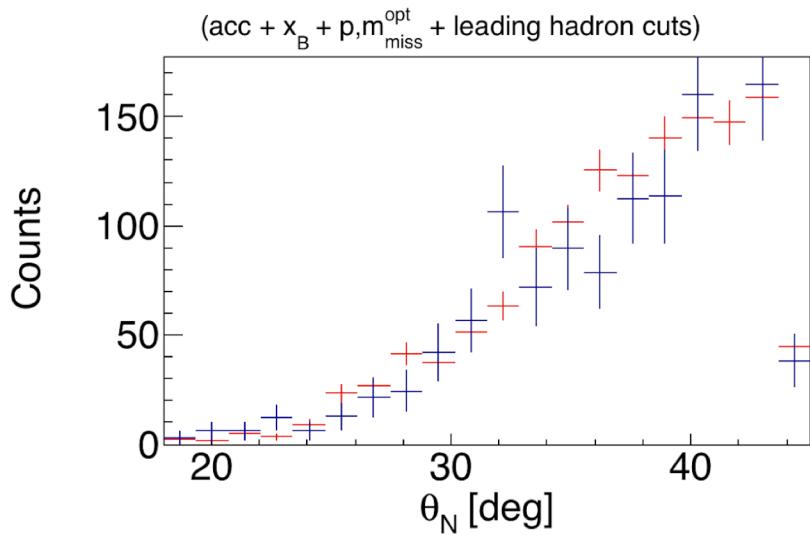
Checking selected cuts using p and n kinematic variables

███████



Checking selected cuts using p and n kinematic variables

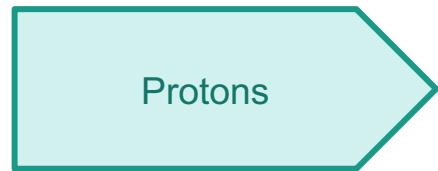
██████



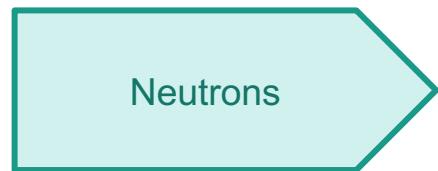
Raw counts of (e,e'p) and (e,e'n) events

Nucleus	#(e,e'p) [Statistical Uncertainty]	#(e,e'n) [Statistical Uncertainty]	Statistical Uncertainty (#(e,e'p)/Z)/(#(e,e'n)/N)
^3He	377 [5.2%]	62 [12.7%]	13.7%
^4He	948 [3.2%]	230 [6.6%]	7.3%
^{12}C	709 [3.8%]	171 [7.6%]	8.5%

Weighting the raw counts by detection efficiency



Simulate detector and count generated versus reconstructed events. Currently **assumed 50%.** Will use map next.



Based on neutron momentum.

A(e,e'p)/A(e,e'n) ratios

Nucleus	$(\#(e,e'p)/Z/\sigma_{ep}) / (\#(e,e'n)/N/\sigma_{en})$
^4He	1.05 ± 0.2
^{12}C	1.00 ± 0.2

Sources of uncertainty

Statistical

Inversely related to the square root of the sample size.

Cut Sensitivity

Effect that a slight change in cuts would have on the end distribution.

Detection Efficiency

Accuracy with which the detector can detect nucleon events.

Cut sensitivity

Cut	Sensitivity Range	Change in p/n ratio
$x_B > 1.1$	± 0.05	5.2%
$0^\circ < \theta_{pq} < 25^\circ$	$\pm 5^\circ$	0.1%
$0.62 < p/q < 1.1$	± 0.05	
$0.402 < P_{\text{miss}} < 1 \text{ GeV}/c$	$\pm 0.025 \text{ GeV}/c$	4.9%
$M_{\text{miss}} < 1.175 \text{ GeV}/c^2$	$\pm 0.025 \text{ GeV}/c^2$	10.6%
Total Uncertainty		16.32%

What's next

- A/⁴He (e,e'n)
- Systematics

(Double check acceptance maps, fiducials etc.)

${}^3\text{He}/{}^4\text{He}$ ($e,e'p$) and ($e,e'n$) ratios - raw p, n counts

Nucleus	n-relevant p [Statistical Uncertainty]	all p [Statistical Uncertainty]
${}^3\text{He}$	377 [5.2%]	5781 [1.3%]
${}^4\text{He}$	948 [3.2%]	16804 [0.8%]
${}^{12}\text{C}$	709 [3.8%]	11928 [0.9%]

Back Up Slides

Defining false positives, negatives to optimize M_{miss} , P_{miss} cuts



False Positives

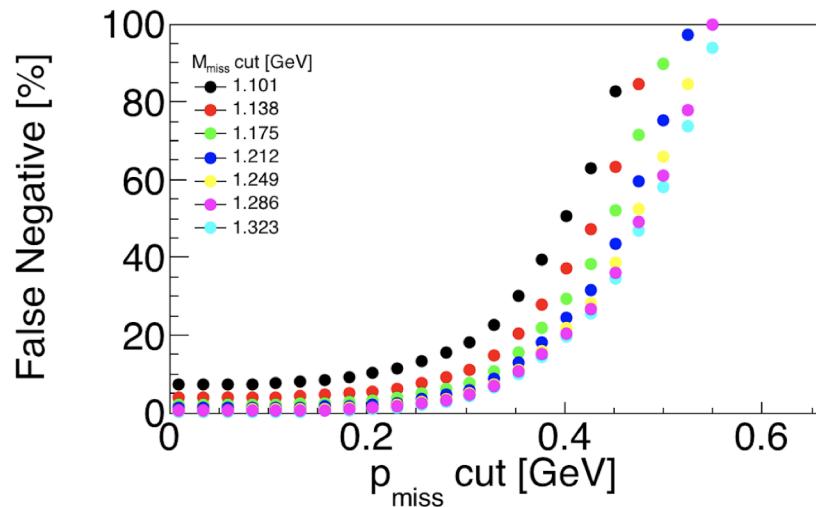
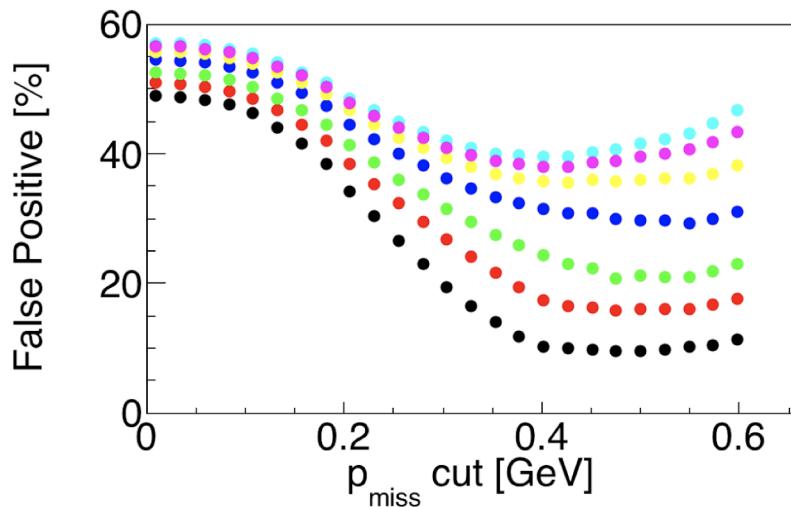
Smearing causes non-SRC events to pass the cuts.



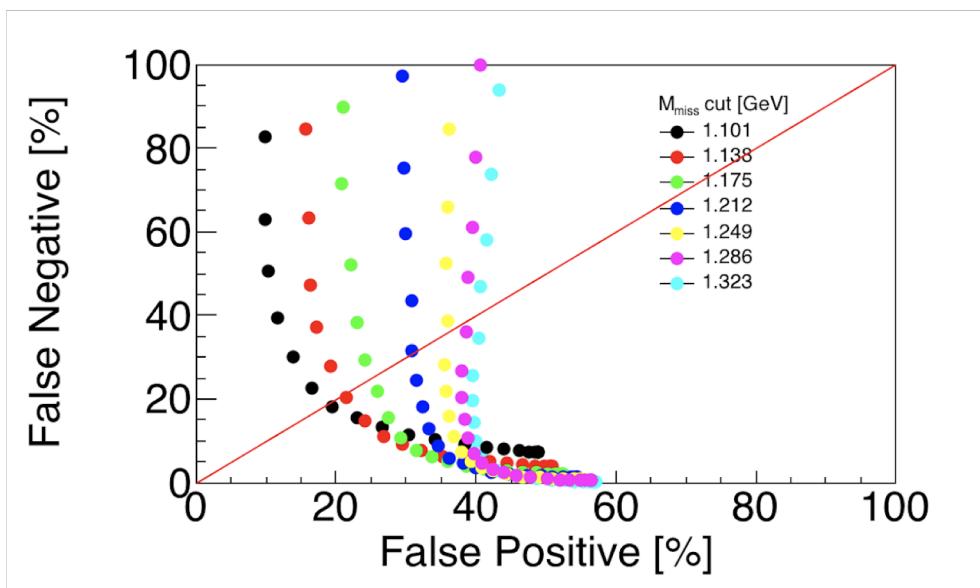
False Negatives

Smearing causes SRC events to fail the cuts.

P_{miss} and M_{miss} cuts using false positives, negatives



P_{miss} and M_{miss} cuts using false positives, negatives



$0.402 < P_{\text{miss}} < 1.000 \text{ GeV}/c$

$M_{\text{miss}} < 1.175 \text{ GeV}/c^2$

(adopted from Meytal's report)