# DI-HADRON BEAM SPIN ASYMMETRIES FOR DNP



Collaboration meeting 7/12/2018

## QUARK-GLUON INTERACTIONS

- Quarks probed in deep-inelastic scattering move in gluon background field
  - Gauge link Integrated effect of quark gluon interactions
- Some of the most interesting effects can be attributed to the dependence of these interactions on spatial deformations and polarization of PDFs
  - Example: Sivers effect

$$\langle \mathbf{k}_{\perp} \rangle \sim \left\langle P, S \left| \bar{q}(0) \gamma^{+} \int_{0}^{\infty} d\eta^{-} G^{+\perp}(\eta) q(0) \right| P, S \right\rangle$$

- The instant quark gluon interactions are described by Twist3 PDFs
- Projections of

$$\Phi^{\mu}_{Aij}(x) = \int \frac{\mathrm{d}\tau}{2\pi} \,\mathrm{e}^{\mathrm{i}\tau x} \langle PS | \bar{\phi}_j(0) \, g A^{\mu}(\tau n) \, \phi_i(\tau n) | PS \rangle \,.$$





### EXAMPLE e(X)

- Transverse force on transversely polarized quarks (Burkhardt)
- Model calculations show significant magnitude:



Jaffe, Ji, Nucl. Phys. **B**375, 527{560 (1992).

## EXAMPLE, ACCESS OF e(x) in SIDIS X-SECTION

• Single hadron cross-section: mixes other contributions:

$$\begin{split} WW_{\Delta pproximation} \\ F_{LU}^{\sin(\phi_h)} &= \frac{2M}{Q} \mathcal{I} \bigg[ -\frac{k_T \hat{P}_{h\perp}}{M_h} \left( xeH_1^{\perp} + \frac{M_h}{Mz} f_1 \tilde{G}^{\perp} \right) \\ &+ \frac{p_T \hat{P}_{h\perp}}{M} \left( xg^{\perp} D_1 + \frac{M_I}{Mz} h_1^{\perp} \tilde{E} \right) \bigg] \end{split}$$





### DI-HADRON FRAGMENTATION FUNCTIONS

- Additional degree of freedom  $(\vec{R} = \vec{P_1} \vec{P_2})$ 
  - Relative momentum of hadrons can carry away angular momentum
  - Additional dependence on  $M_{h_1h_2}$  , heta
  - Partial wave decomposition in  $\theta$
  - Relative and total angular momentum  $\rightarrow$ In principle endless tower of FFs
  - Analogue of 1h production with spin in final state
- Transverse polarization dependence in collinear framework  $H^{\perp} \rightarrow$ **Most precise extraction of transversity**
- Makes 'new' FFs possible, such as G1<sup>⊥</sup>: T-odd chiral even. In 1h case, this needs polarized hadron in the final state →Analysis proposal for BSA,TSA and BoerMulders underway!









## ANALYSIS AT CLASI2: GOALS FOR DNP

- Currently concentrating on beam spin asymmetries for pions detected in the forward tracker
  - $\rightarrow$  piggy back on single hadron analysis with added advantage that di-hadrons tend to be more forgiving wrt false asymmetries
  - Main requirements from detector/MC description: approximately truthful estimation of kinematic variables z,x,M, charged hadron reconstruction and correct pion fraction
- X-check with Timothy Hayward (W&M)→thesis topic
- Analysis chain implemented in Java (no fit yet)
- Two step analysis with intermediated microDSTs saved as serialized Java objects with MC truth-Data connection →needed for weighting
- Cuts
  - Event builder cuts and PID for pions
  - Q2> I.0,W> 2.0
  - Missing mass > 1.05 GeV
  - Chi2pid < 5.0
  - z>0.1, xF>0.0

#### EXAMPLES OF KINEMATIC DISTRIBUTIONS







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- The purpose of these plots is to demonstrate the maturity of the analysis chain
- The resolutions per se are biased by the selection criteria that lead to about 60% matching for hadron pairs



- Example MC Data comparison
- (from Timothy's presentation at the first experiment review)



### NEXT STEPS

- Implement Stefan's cut from the single pion analysis
- Evaluate MC/Data comparison for relevant variables
- Evaluate with weighted MC
- For DNP: Consider presentation of resulting asymmetries with large uncertainties
- Longer Term (past DNP)
  - Implement real closure test with TMDGen (see discussion in deeppwg)
  - Include  $Gl^{\perp}$ , Boer-Mulders and cross-section

#### SUMMARY: PROJECTIONS FOR DNP

• Even with  $\sim 5\%$  of the data should see significant asymmetries





## BACKUP

### PHYSICS

h1

- Looking at SIDIS process  $ep \rightarrow e'h_1h_2 + X$
- In factorized picture and small  $M_{h_1h_2}$  the cross-sections can be described by the convolution of PDF and di-hadron FF
- Compared to IH FF, additional degree of freedom  $\vec{R} = \vec{P_1} - \vec{P_2} \rightarrow$ more targeted access to PDFs
- Collinear di-hadron FF picks up dependence on  $M_{h_1h_2}$  and  $\theta$





