

# Preliminary Lambda-Nucleon Scattering with g12 at Jefferson Lab

Joey Rowley, Kenneth Hicks (Ohio University)

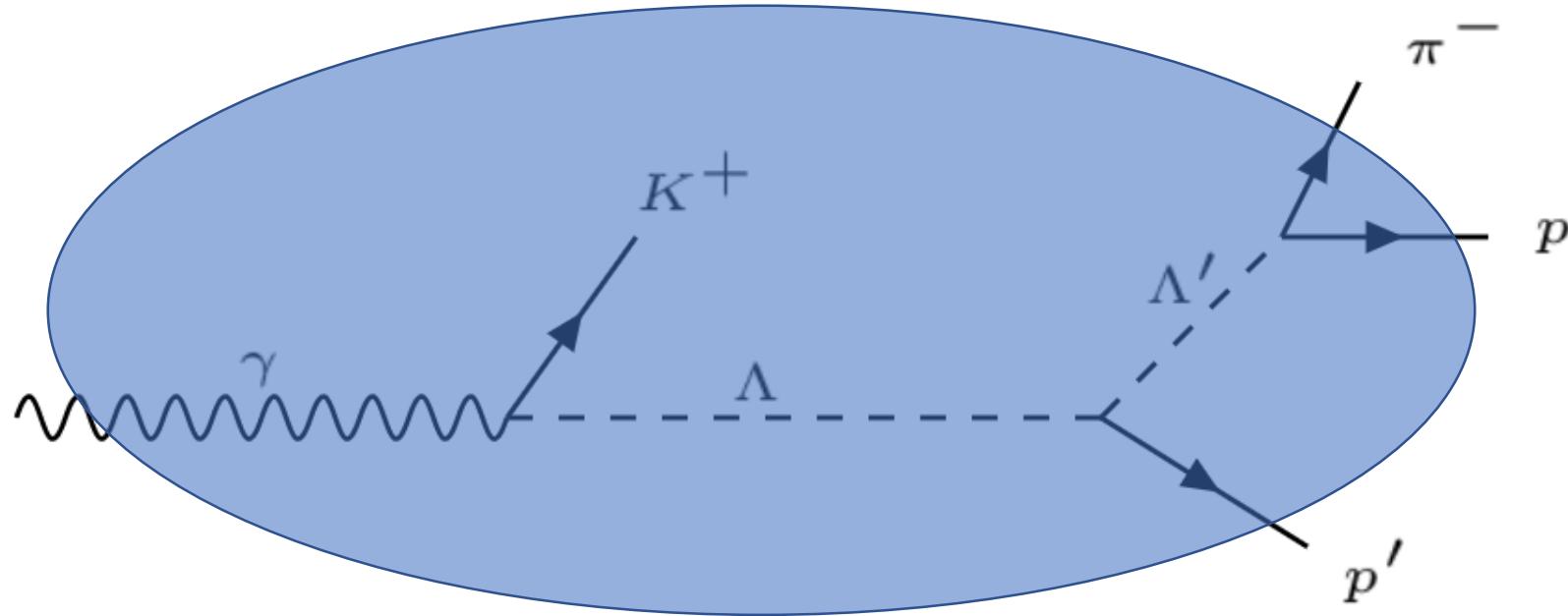
John Price (Cal State Univ Dominguez Hills)



CEBAF Large Acceptance Spectrometer

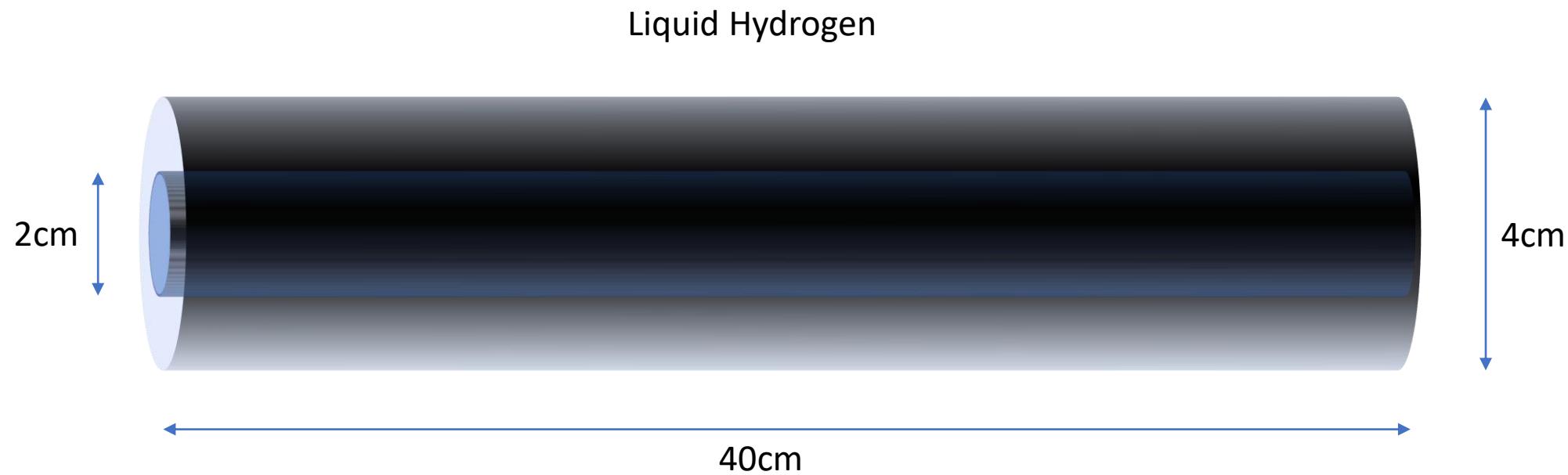


# Reaction



- $p, p', \pi^-$  detected
- $\Lambda p'$  scatter elastically

# Target



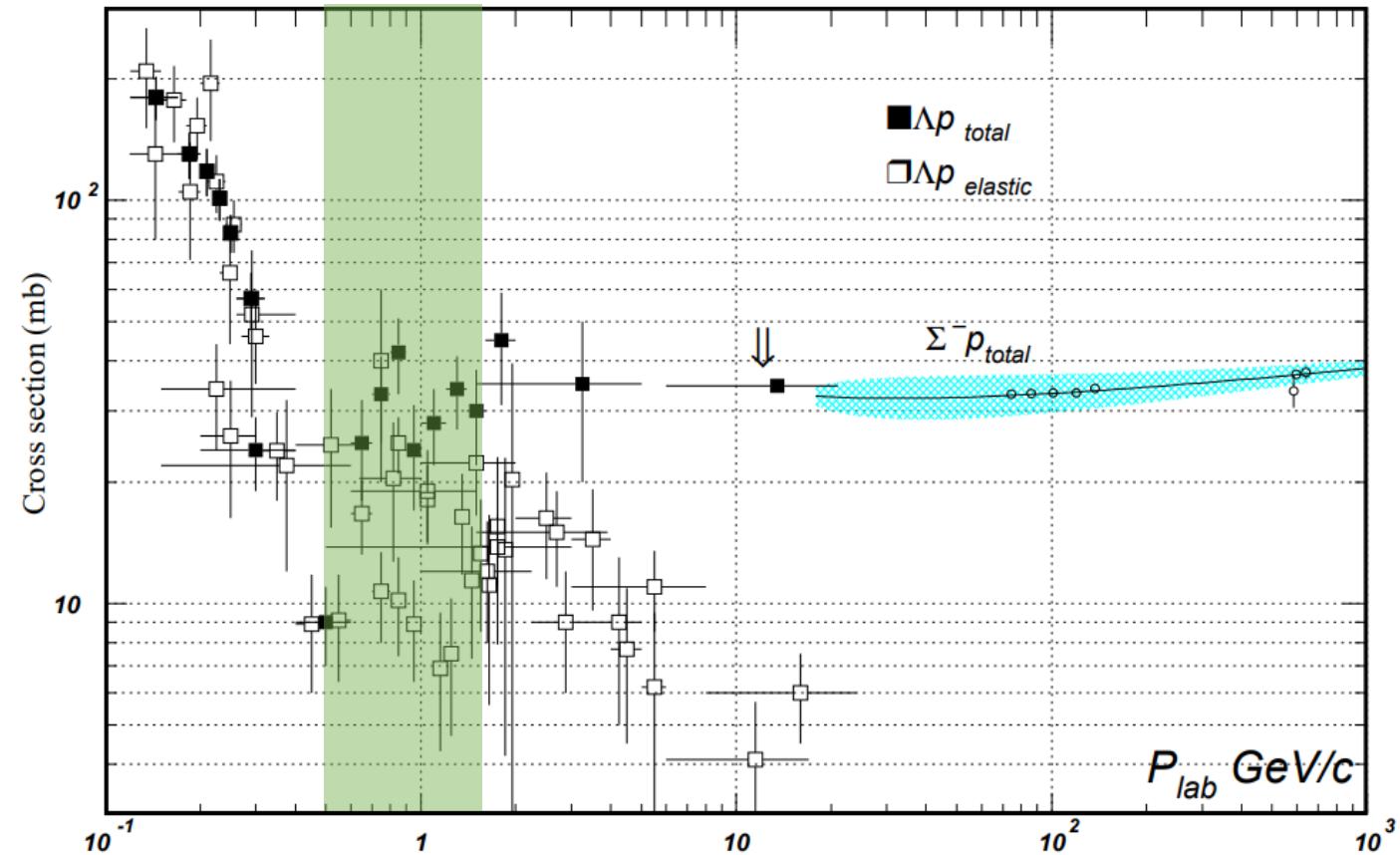
Length: 40cm

Width: 4cm

2cm diameter collimator

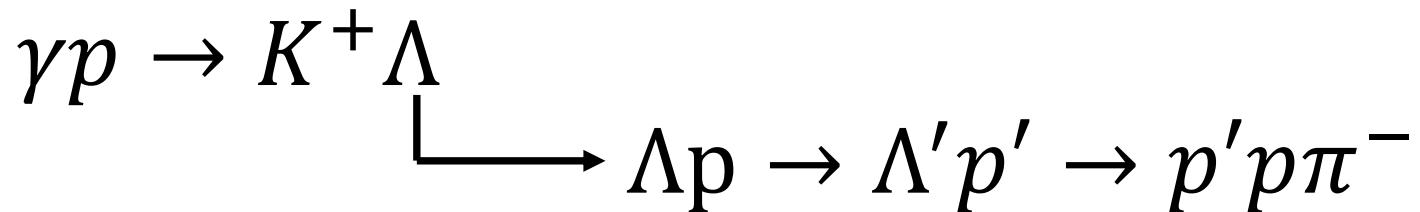
# Motivation

- $\Lambda N$  scattering is important to understand the interior of neutron stars. (Haidenbauer and Meissner, PRC 72, 044005 (2005).)
- Currently very little data for  $\Lambda N$  scattering compared to other elastic scattering processes (NN, KN or  $\pi N$ )
- With a high flux of  $\Lambda$  we can measure the  $\Lambda p$  elastic scattering cross section.



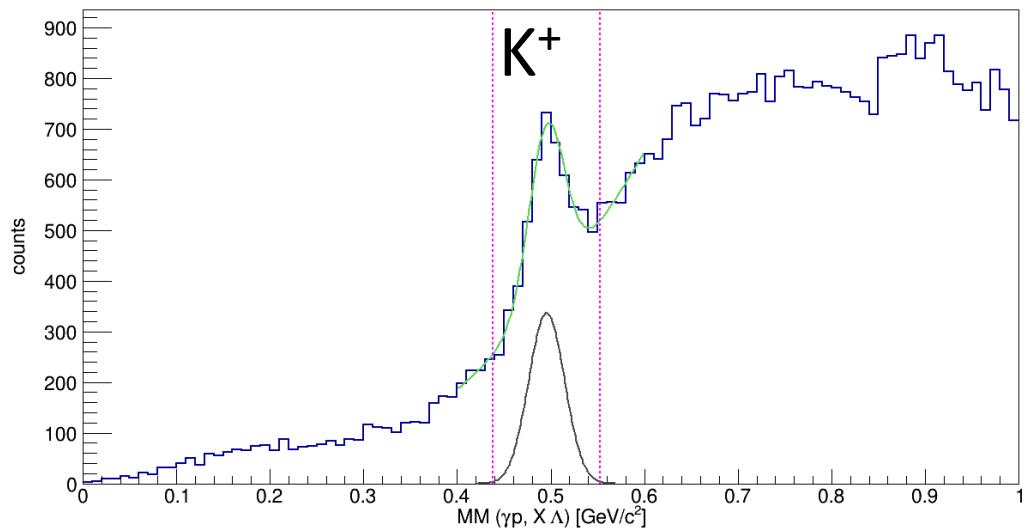
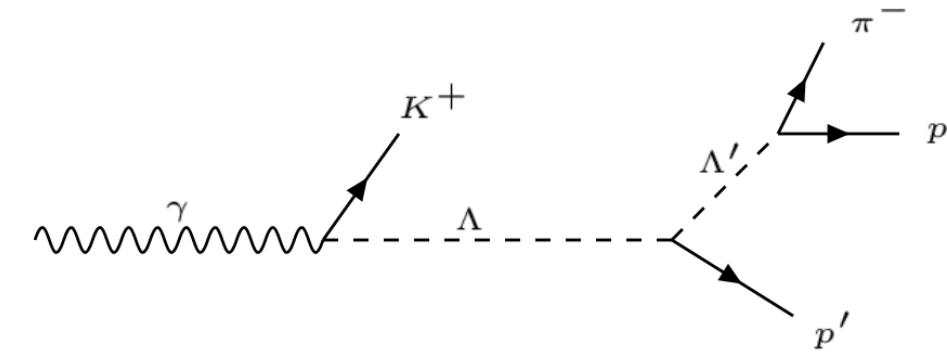
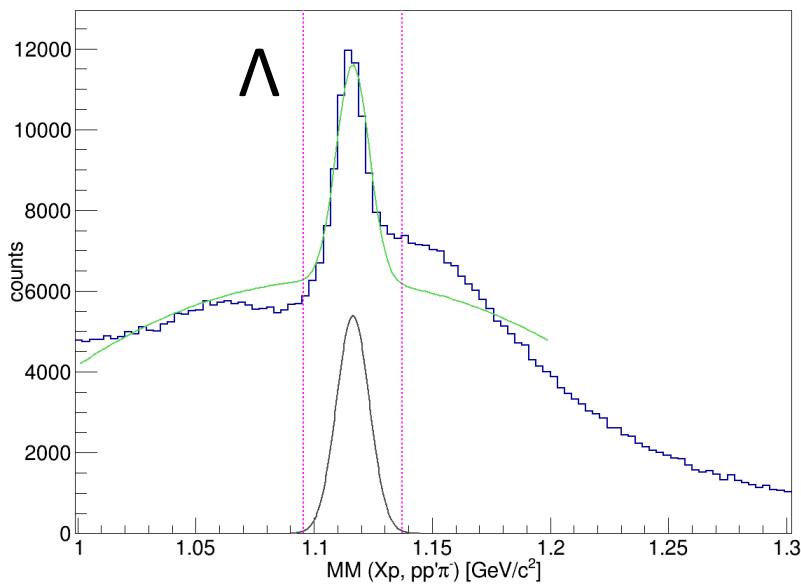
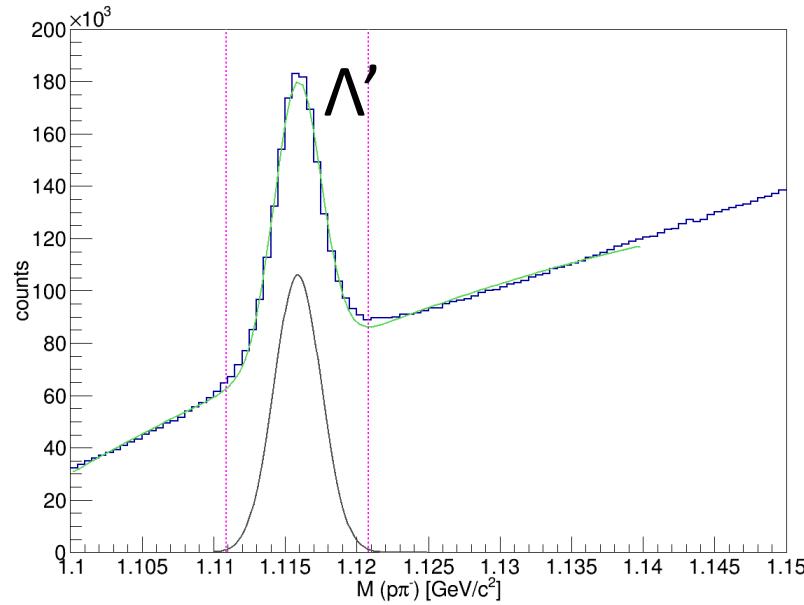
C. Patrignani *et al.* (Particle Data Group), Chin. Phys. C, **40**, 100001 (2016) and 2017 update.

# Procedure Analysis

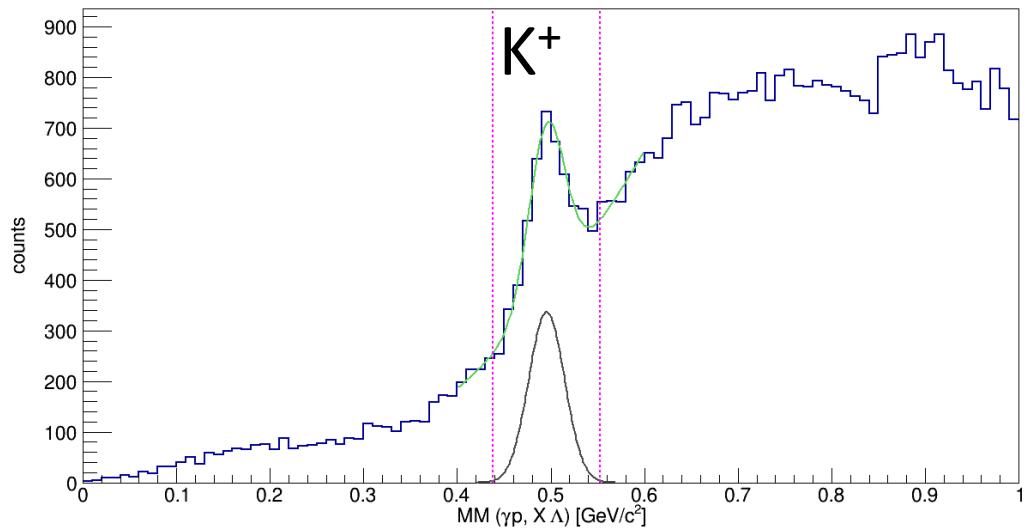
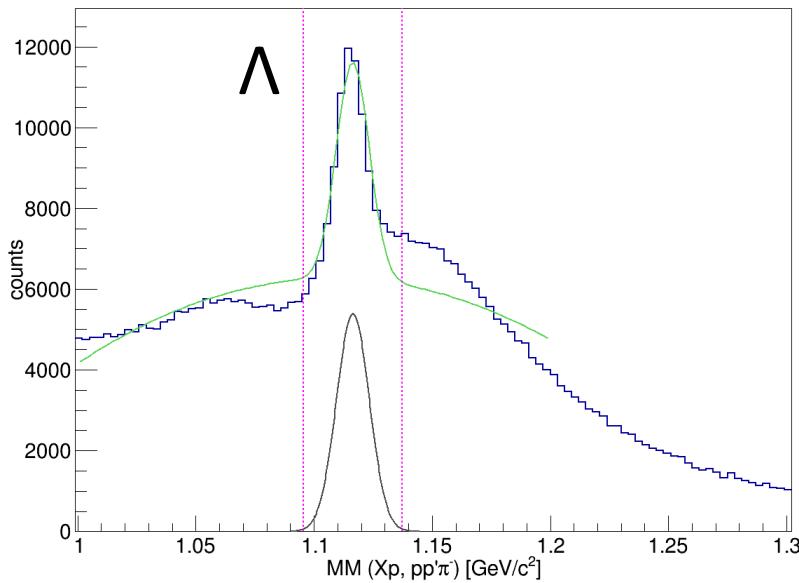
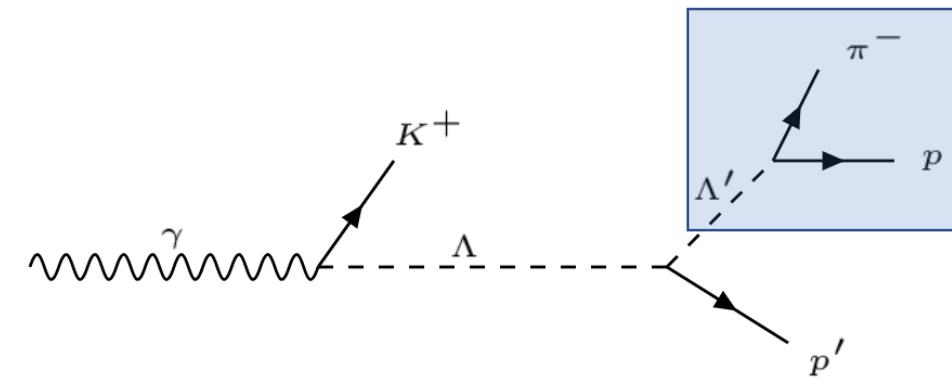
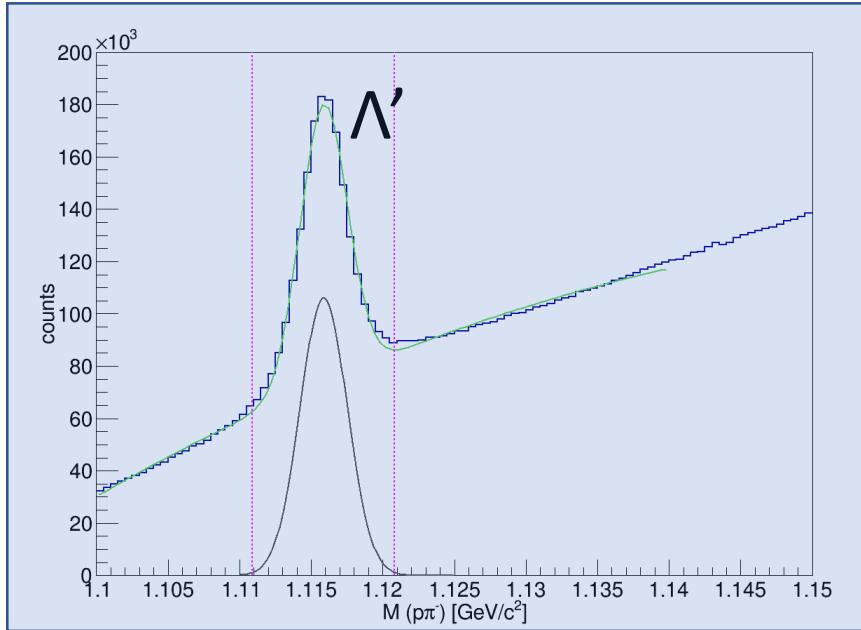


- Data from g12
- Reconstruct  $\Lambda'$  mass:  $M(\Lambda') = M(p\pi^-)$
- Reconstruct incident  $\Lambda$
- Identify  $K^+$  by missing mass
- Use known  $K^+ \Lambda$  cross section to get flux

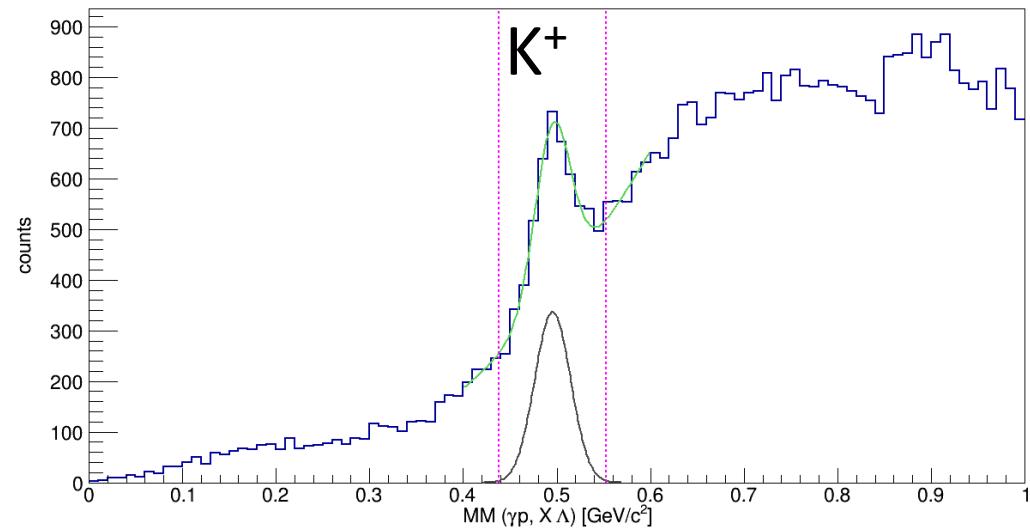
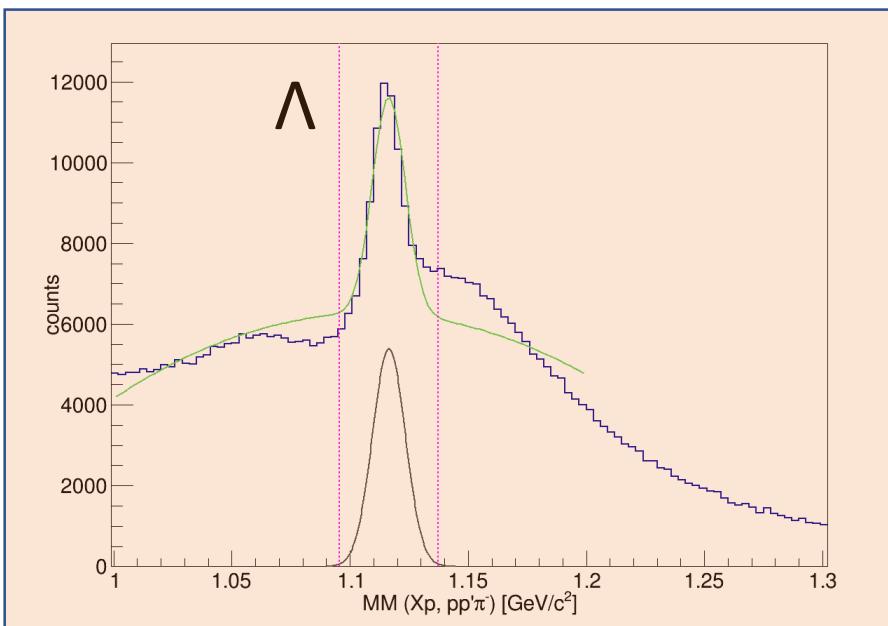
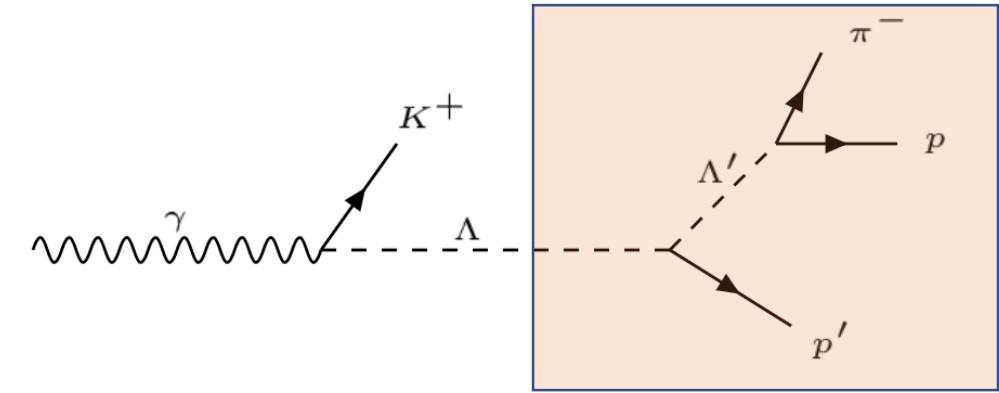
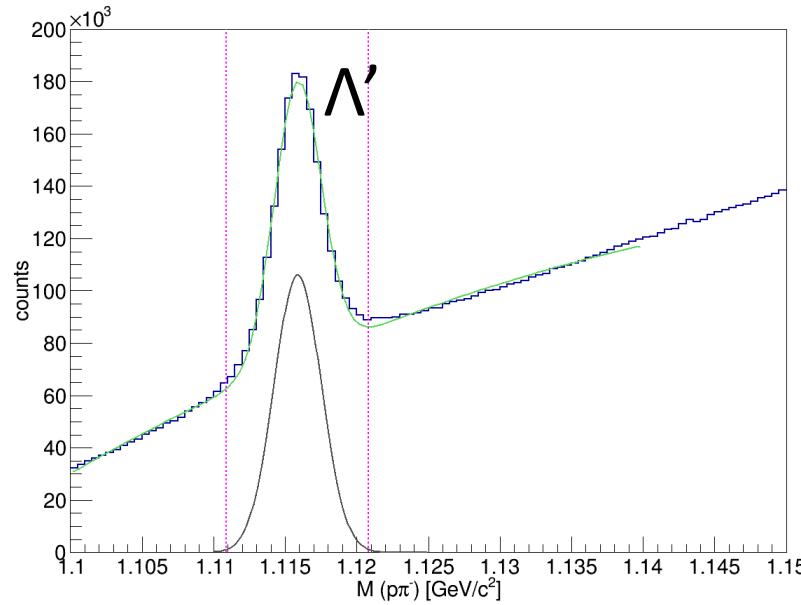
# Cuts



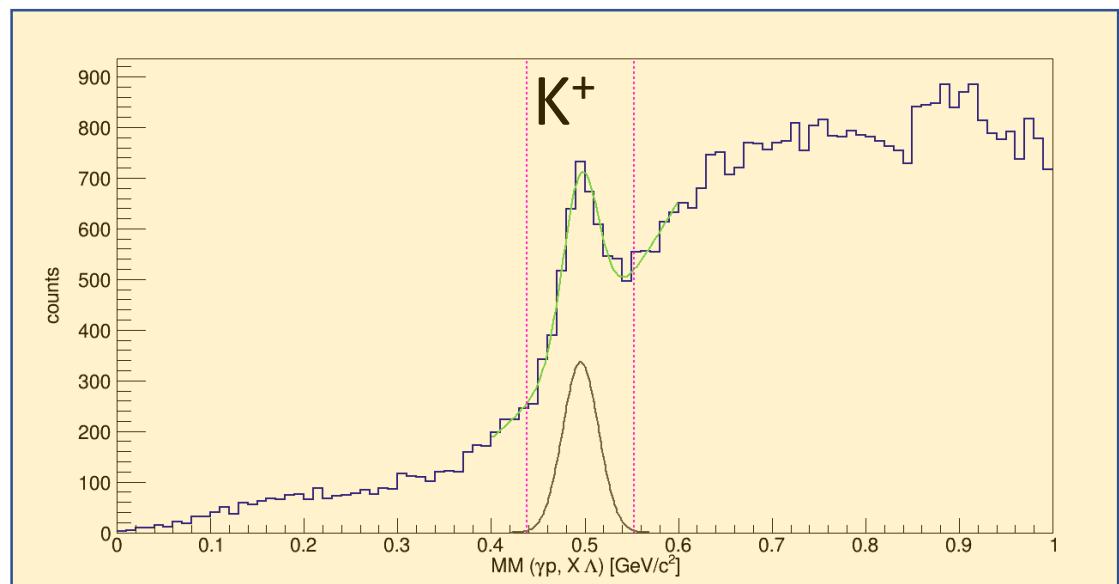
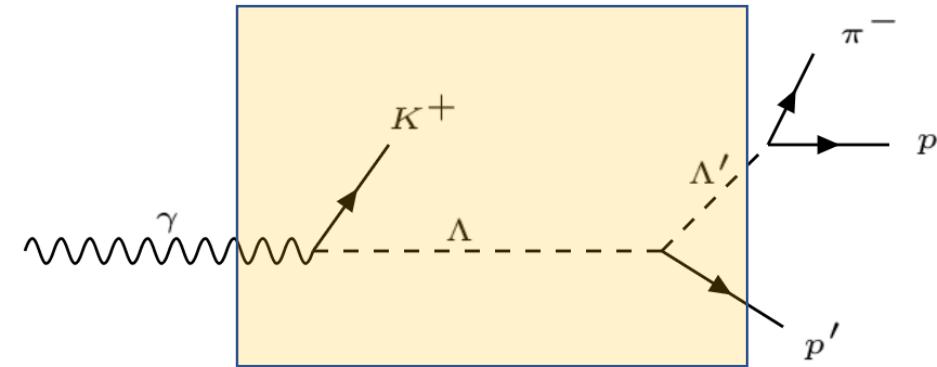
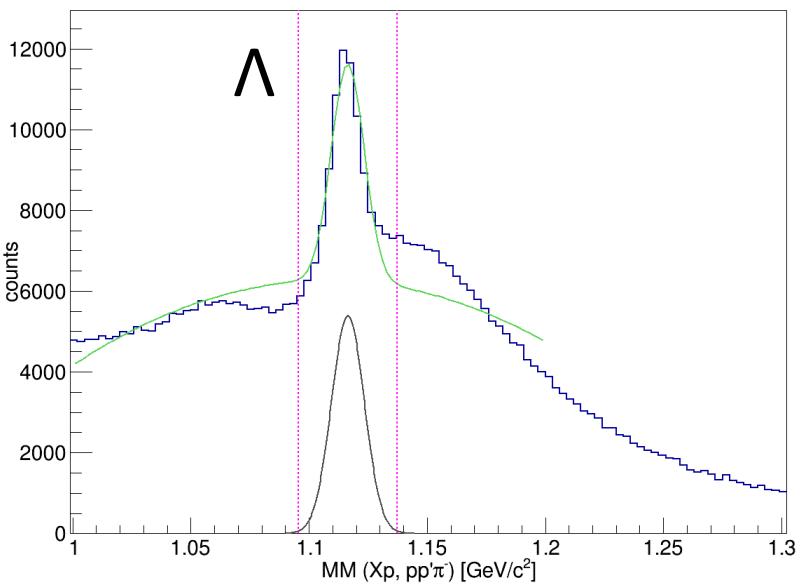
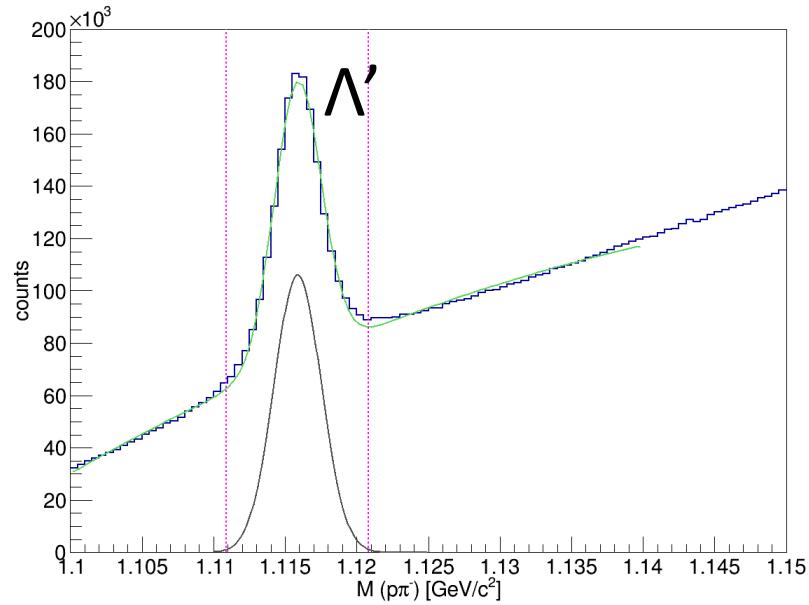
# Cuts



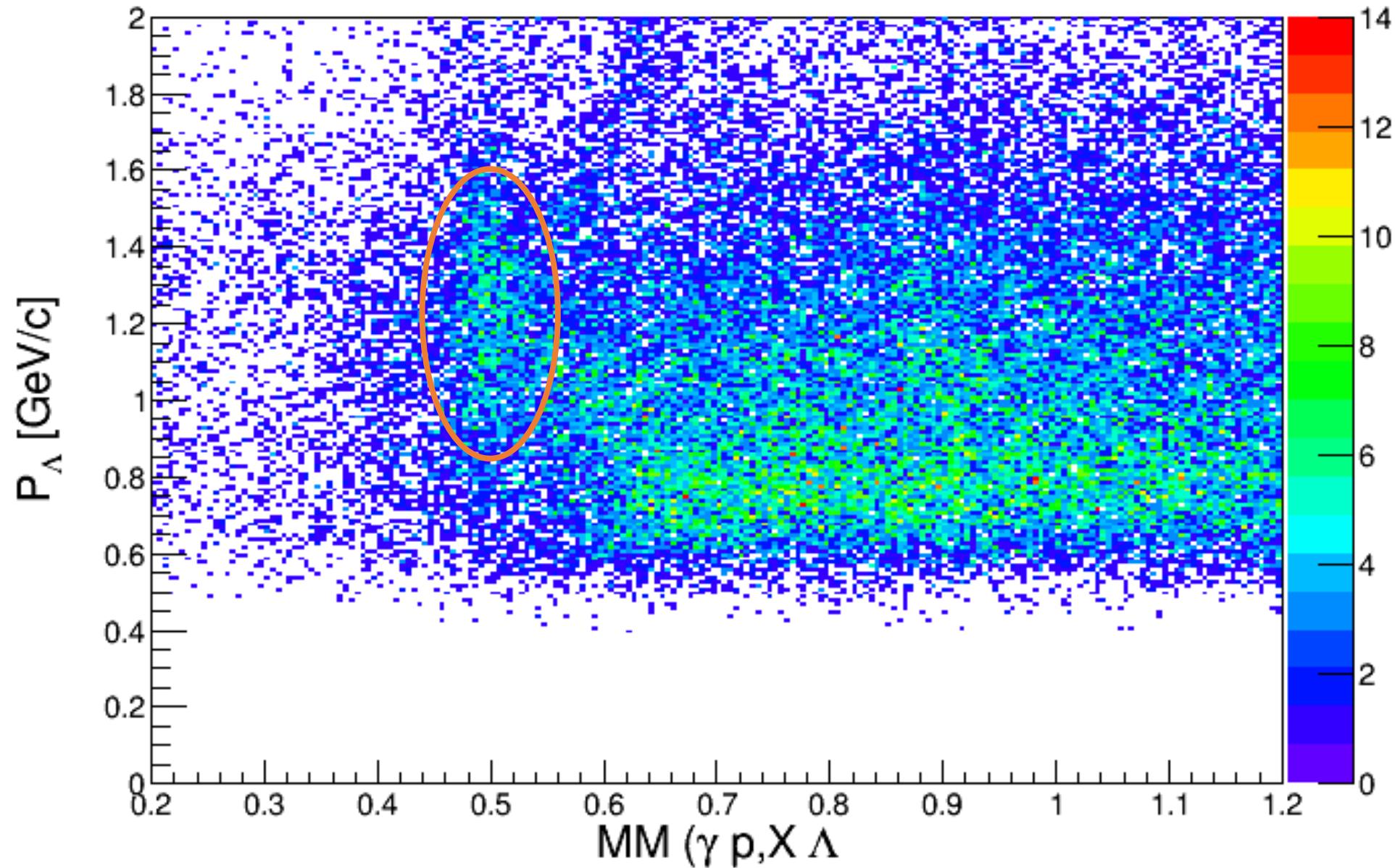
# Cuts



# Cuts



# Cuts



# Cross Section

$$\frac{d\sigma}{d\cos(\theta)}(E) = \frac{Y}{A * \mathcal{L} * \text{b.r.} * \Delta \cos(\theta)}$$

Y: Yield

A: Acceptance

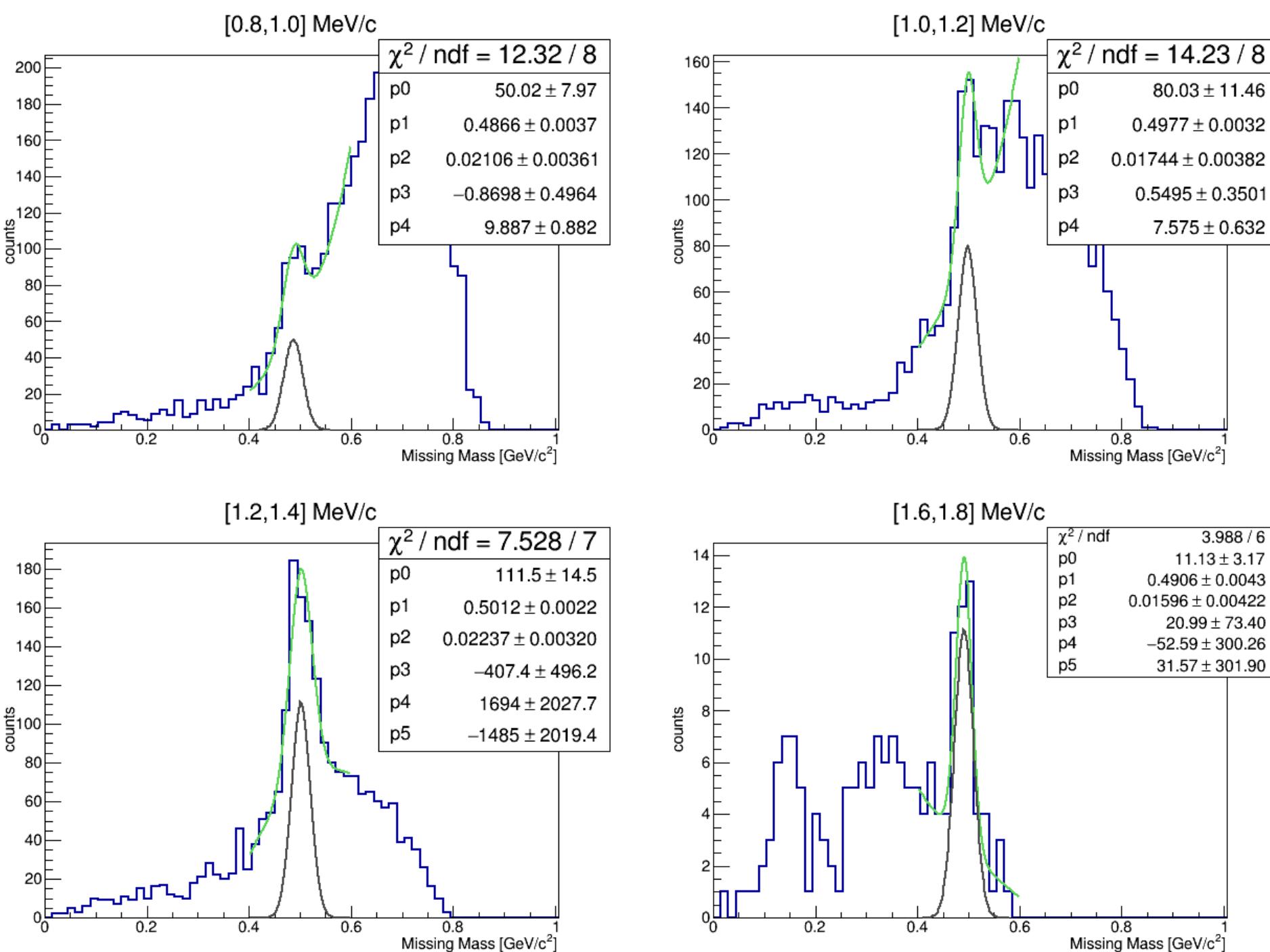
$\mathcal{L}$ : Luminosity

b.r: Branching ratio (for  $p\pi^-$ )

$\frac{d\sigma}{d\cos(\theta)}(E)$ : Energy dependent cross section

# Yields

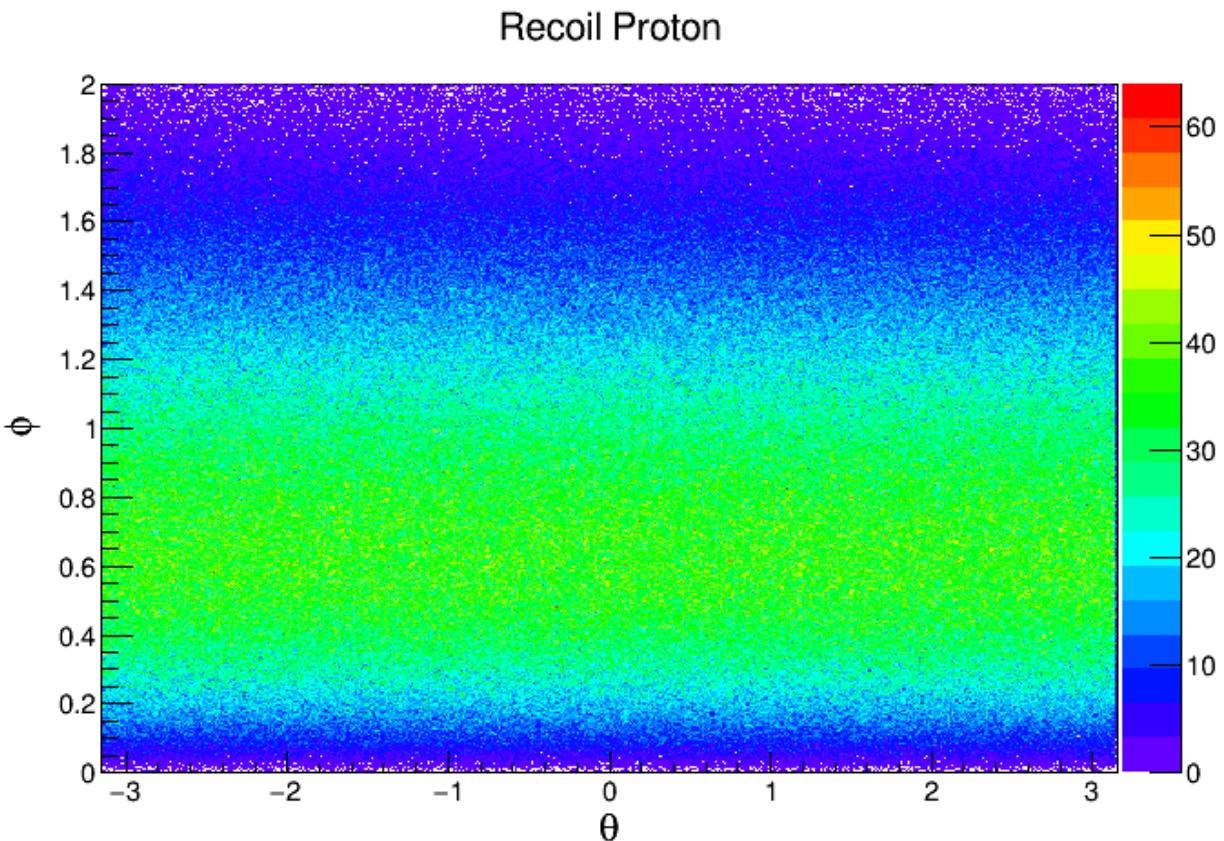
Binned in Incident  $\Lambda$   
Momentum  
for  $E\gamma = [1.2, 1.6]$



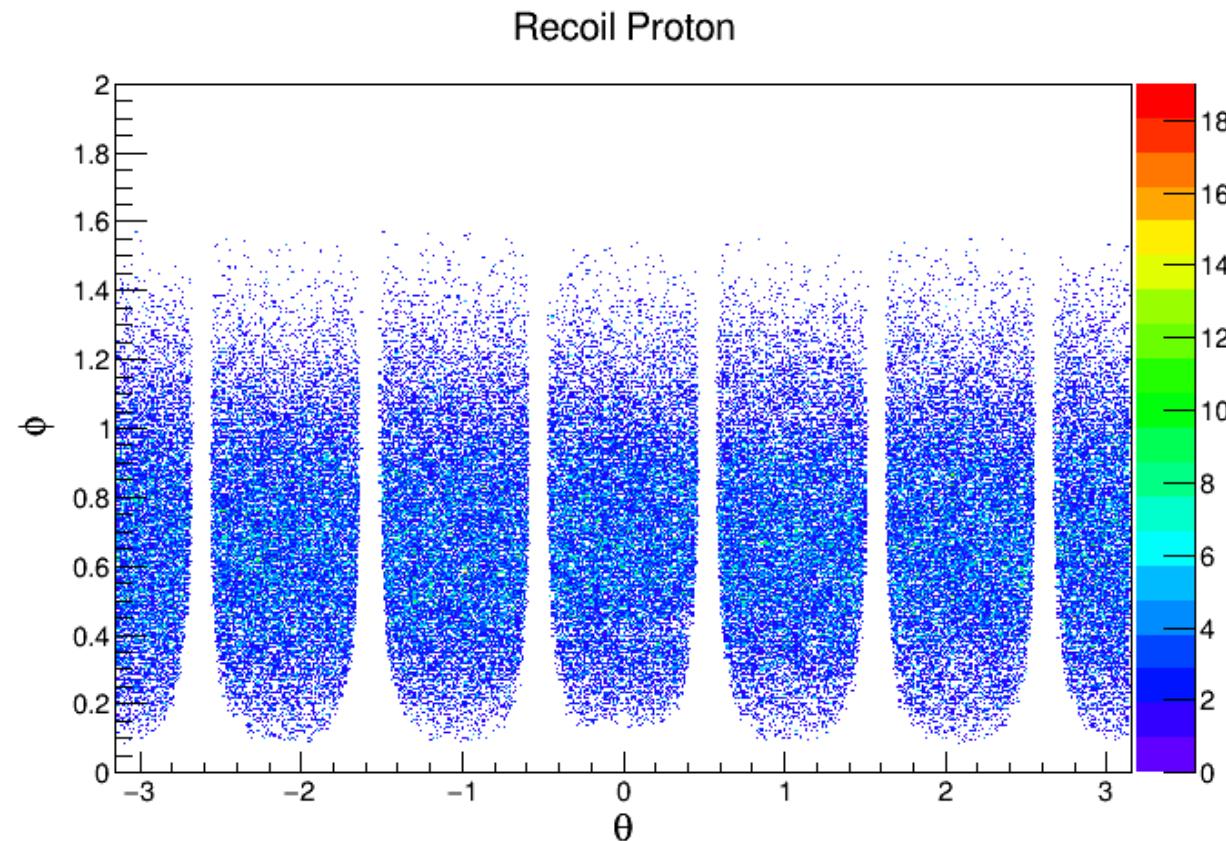
# Acceptance

Using g12 standard  
software for simulations.

$$\text{Acceptance} = \frac{\text{Accepted } pp\pi^-}{\text{Generated } \Lambda p \text{ scattering}}$$



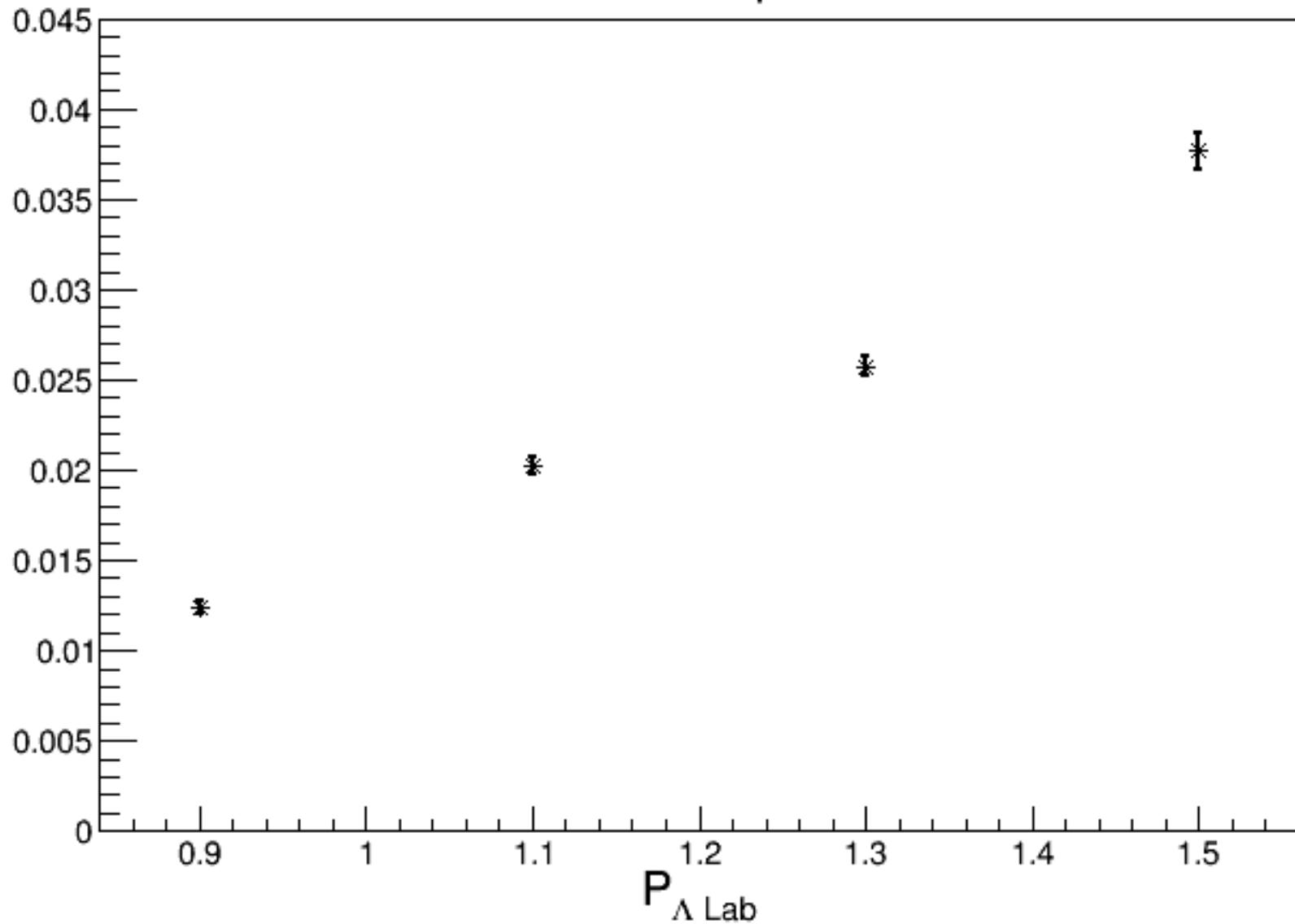
Generated



Accepted

Acceptance ( $E_\gamma$  [1.2,1.6])

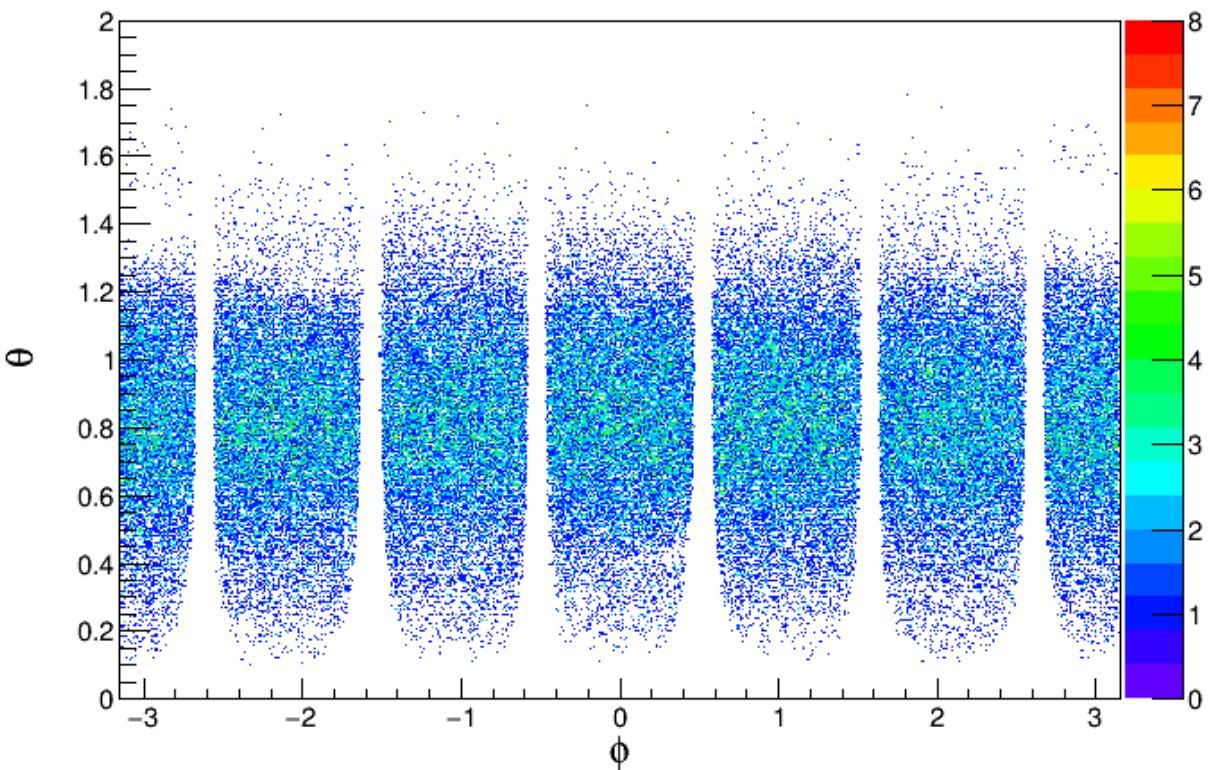
$$Acceptance = \frac{\text{Accepted } pp\pi^-}{\text{Generated } \Lambda p \text{ scattering}}$$



# Acceptance

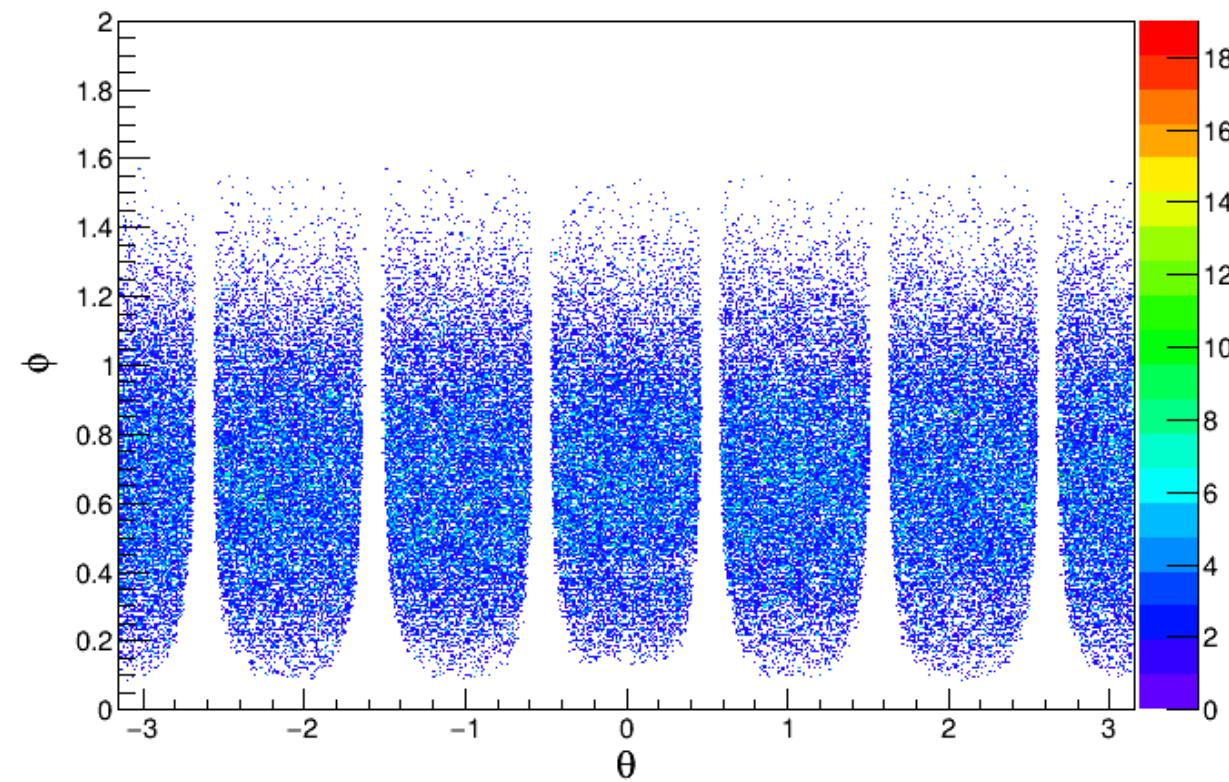
$$Acceptance = \frac{\text{Accepted } pp\pi^-}{\text{Generated } \Lambda p \text{ scattering}}$$

Recoil Proton



Data

Recoil Proton



Accepted

# Luminosity

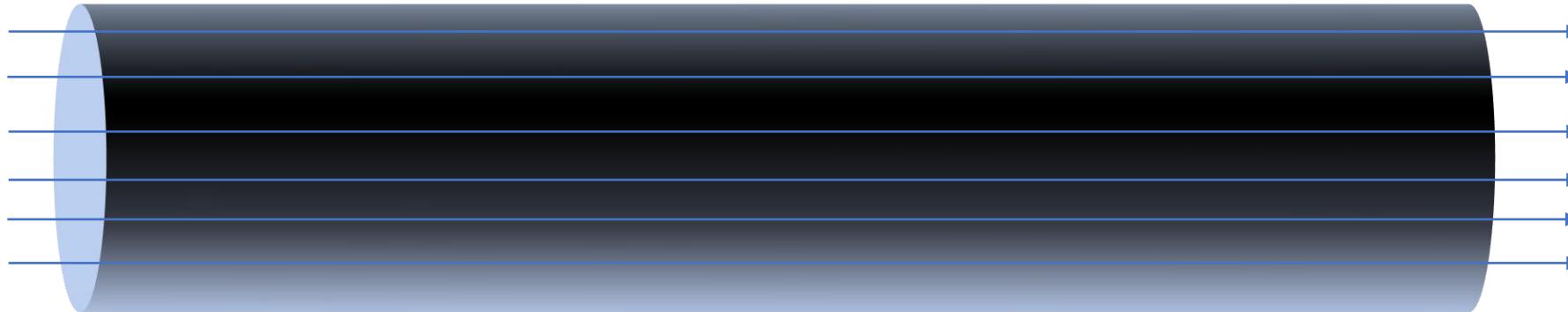
$$L_{\Lambda}(E_{\Lambda}) = \frac{\rho_T * N_A * l}{M} * N_{\Lambda}(E_{\Lambda})$$

- $\rho_T$ : density of the target
- $N_A$ : Avogadro's number
- M: molar mass of Hydrogen
- $l$ : travel distance of  $\Lambda$
- $N_{\Lambda}(E_{\Lambda})$ : yield in a certain energy range

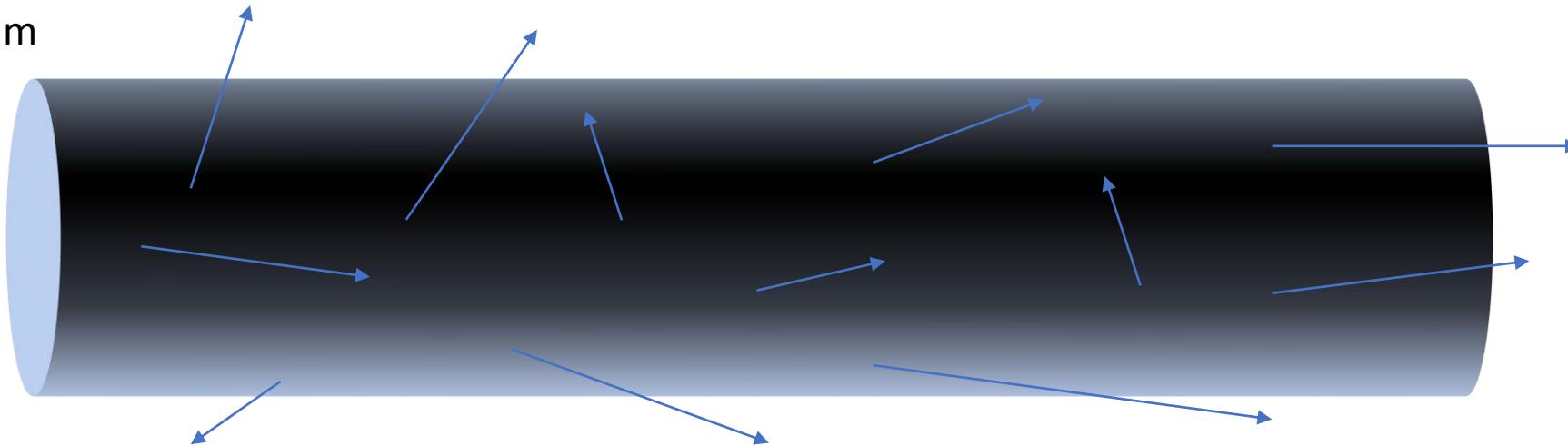
Problem: How do we find  $l$  and  $N_{\Lambda}(E_{\Lambda})$  ?

# Luminosity

Photon Beam

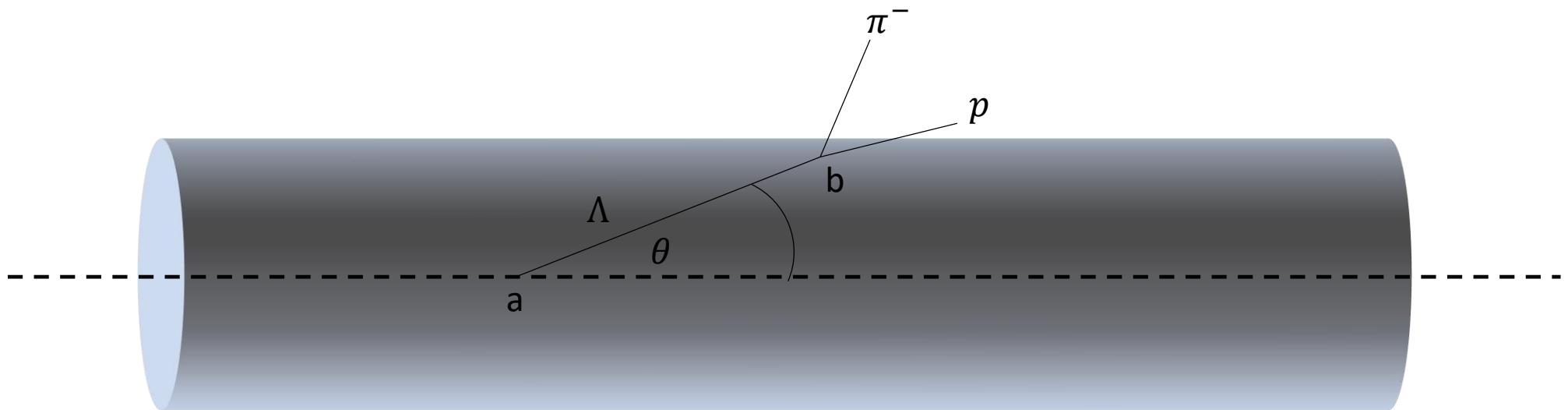


$\Lambda$  Beam



# $\Lambda$ Decay Length ( $l$ )

Assume Simplest case: Lambda along z-axis



Distance between a and b is the  $\Lambda$  decay length

# $\Lambda$ Decay Length ( $l$ )

$$P(z) = e^{-(\frac{M}{p})(\frac{z-z_0}{c\tau})}$$

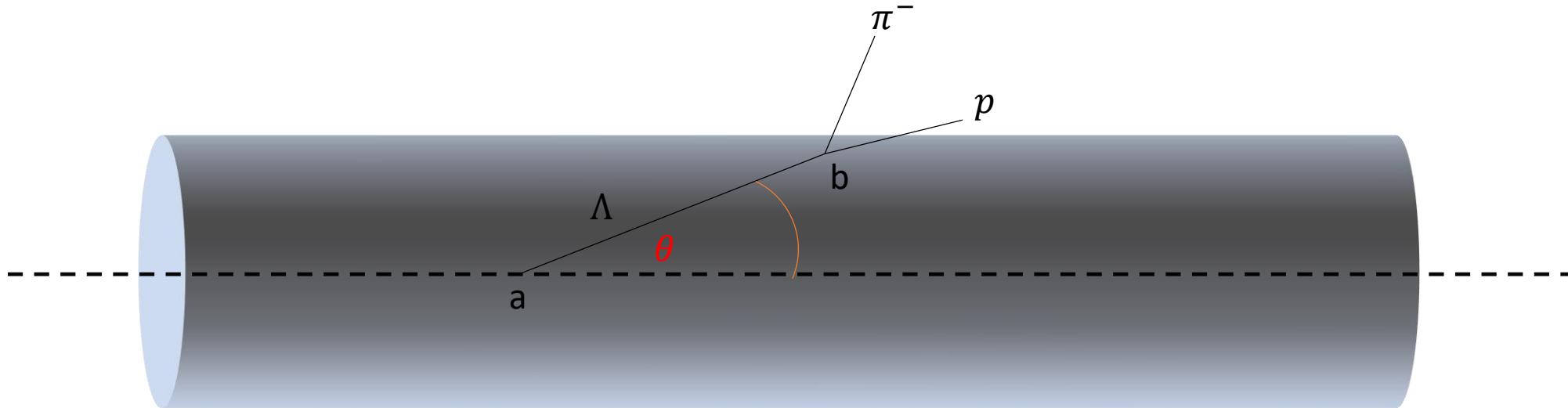
- $P(z)$ : probability of  $\Lambda$  decay
- $M$ : mass of  $\Lambda$  (1.115 GeV/c<sup>2</sup>)
- $p$ : momentum of  $\Lambda$
- $z_0$ : starting position
- $c\tau$ : mean proper life (7.89cm)

# $\Lambda$ Decay Length ( $l$ )

- 10,000 generated  $\Lambda$
- Step size: 1mm
- $p_\Lambda = 1115 \text{ MeV/c}$  (can do this for any  $p_\Lambda$ )

Z Vertex (cm)	Cos( $\Theta$ )	Avg. Pathlength (cm)
0.0	1.0	7.5
20	1.0	7.2
20	.707	2.4
Random	Random	2.2

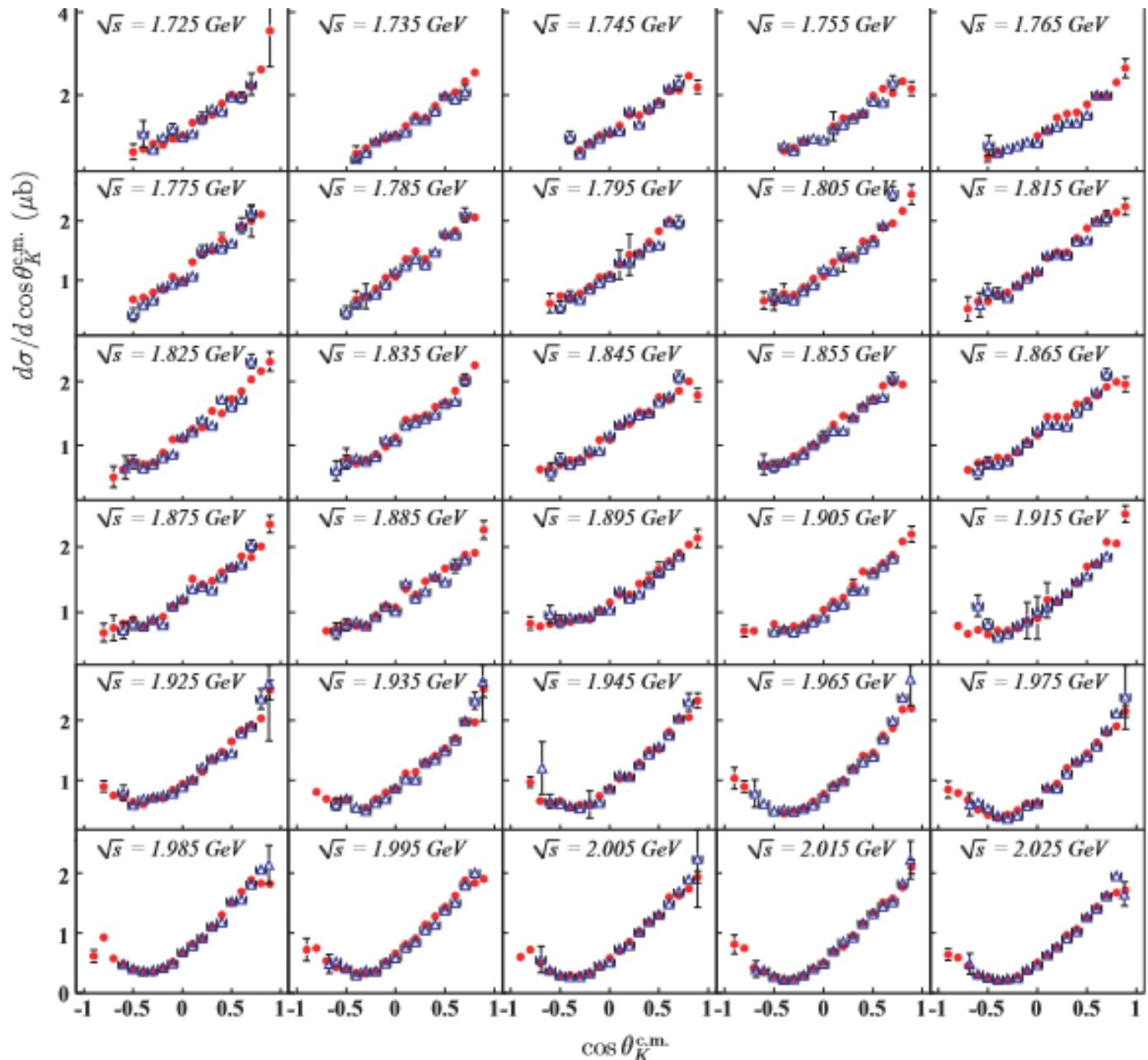
# Scattering Angle



$$\theta = ?$$

$N_{\Lambda}(E_{\Lambda})$

$$\frac{d\sigma}{d\Omega} = \frac{N_{\Lambda}}{2\pi * L_{\gamma} * \Delta \cos(\theta)}$$



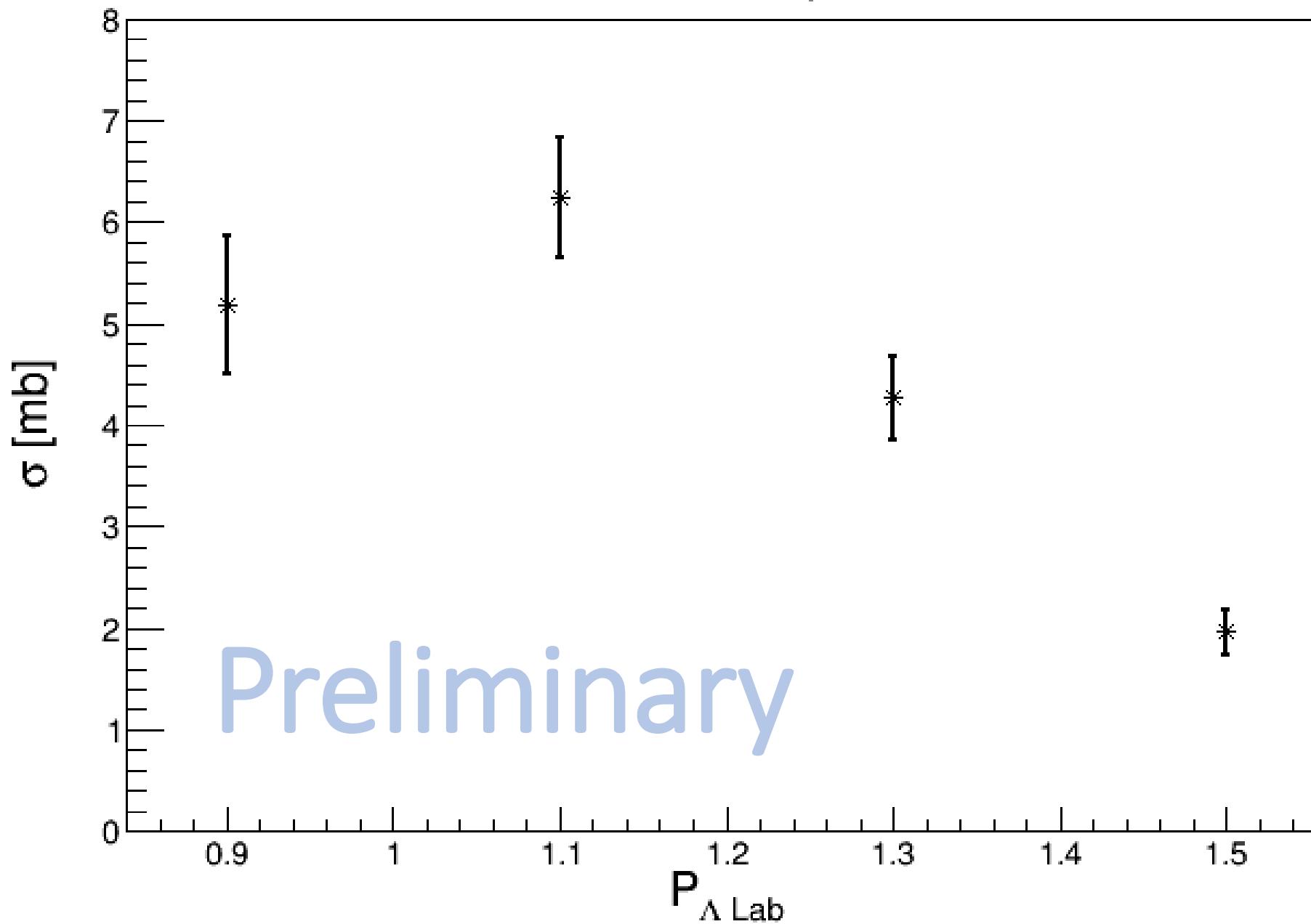
# Luminosity

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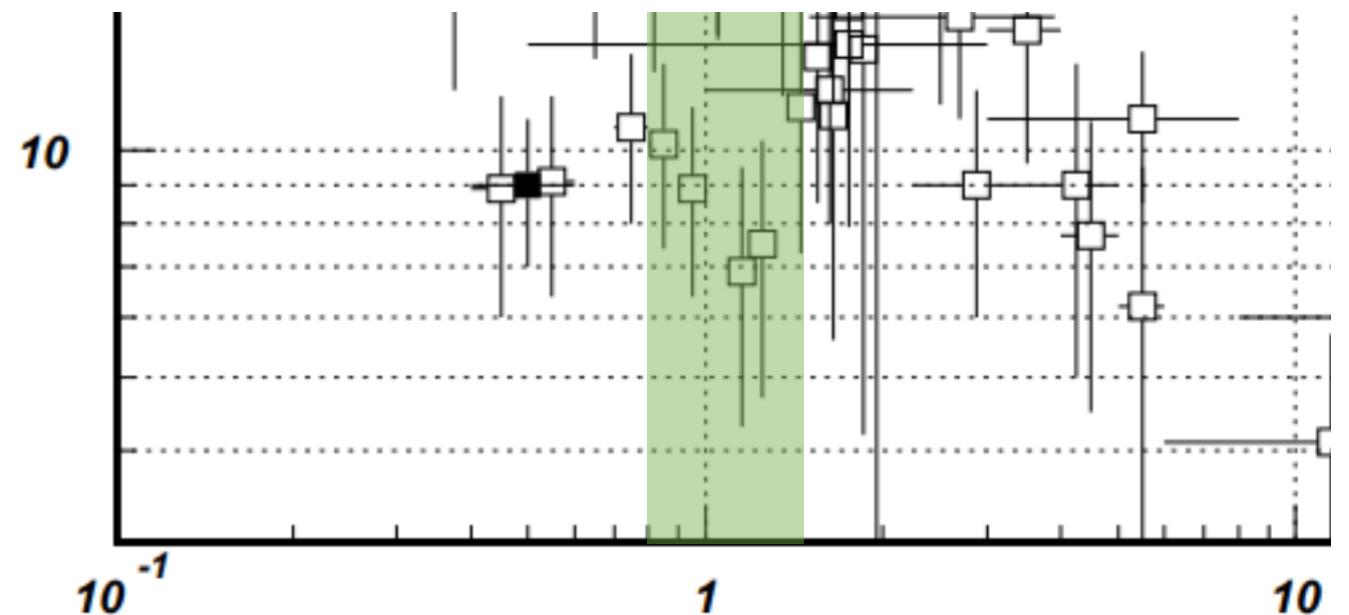
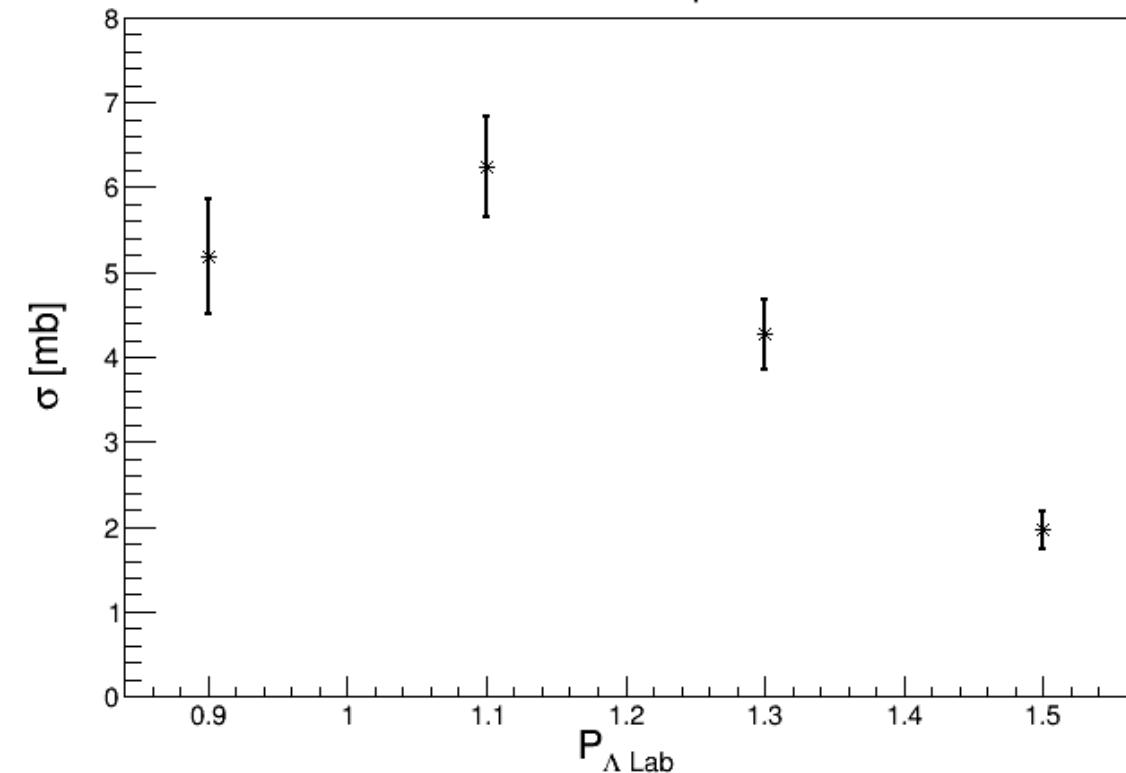
$$L_{\Lambda}(E_{\Lambda}) = \frac{\rho_T * N_A * l}{M} * N_{\Lambda}(E_{\Lambda})$$
$$\frac{d\sigma}{d\Omega} = \frac{N_{\Lambda}}{2\pi * L_{\gamma} * \Delta \cos(\theta)}$$

The diagram illustrates the calculation of luminosity. It shows two equations: the total luminosity  $L_{\Lambda}(E_{\Lambda})$  and the differential cross-section  $d\sigma/d\Omega$ . Orange arrows point from the terms  $l$  and  $N_{\Lambda}$  in the first equation to the 'Avg. Pathlength (cm)' and 'N<sub>Λ</sub>' columns in the table, respectively. A third orange arrow points from the cross-section term in the second equation to the same columns in the table.

# Cross Section ( $E_{\gamma} [1.2,1.6]$ )



### Cross Section ( $E_{\gamma}$ [1.2,1.6])

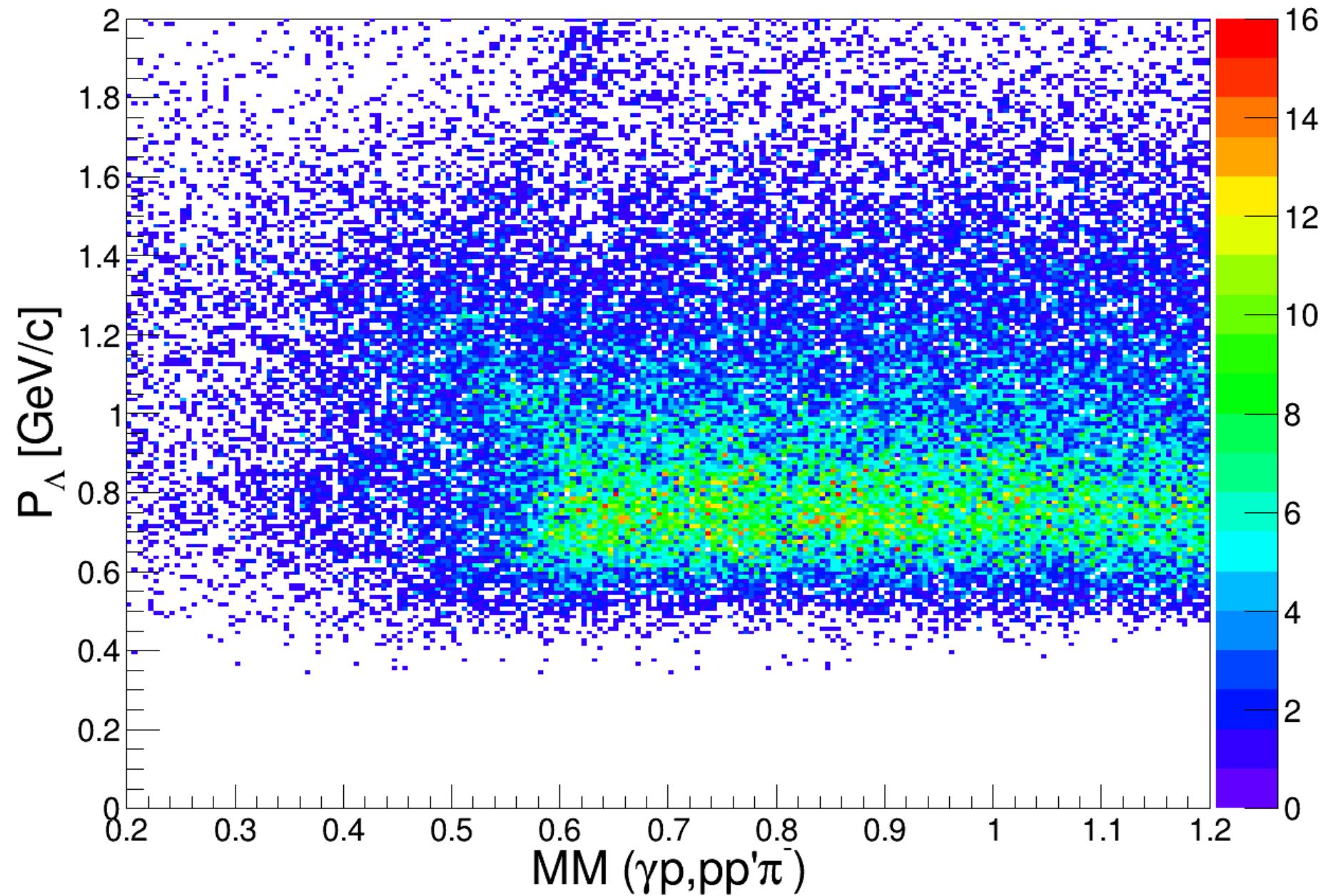


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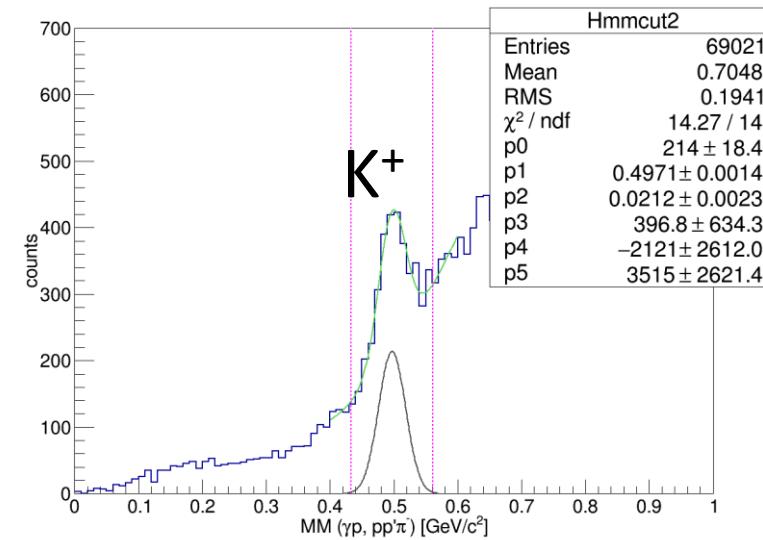
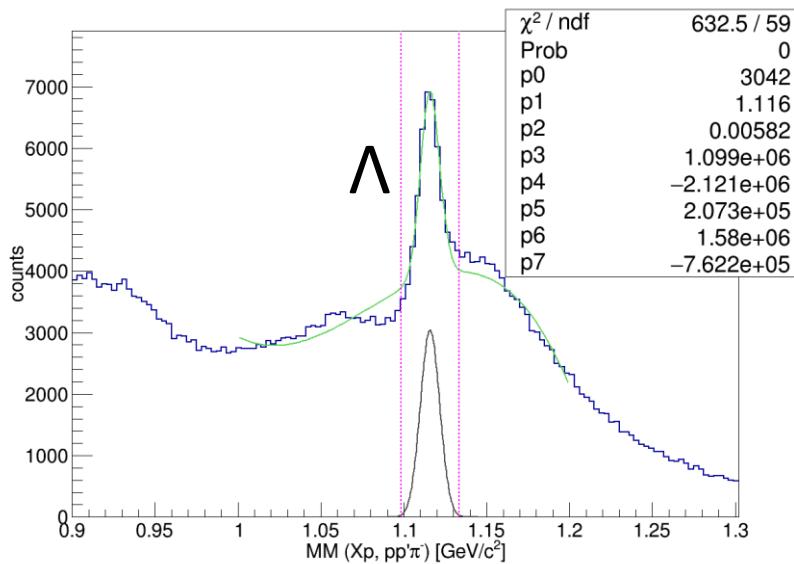
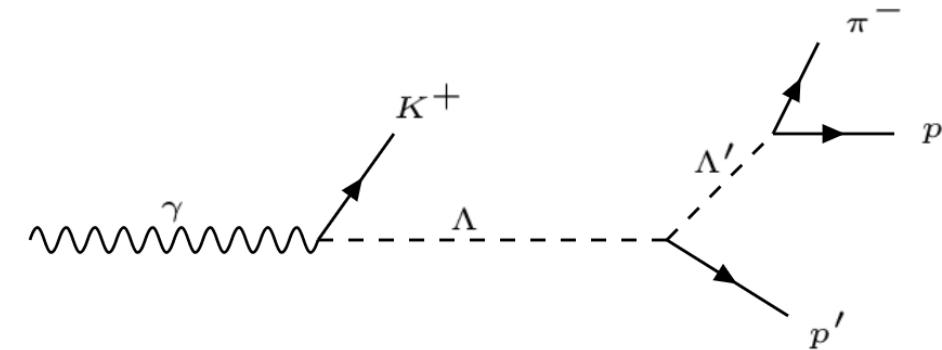
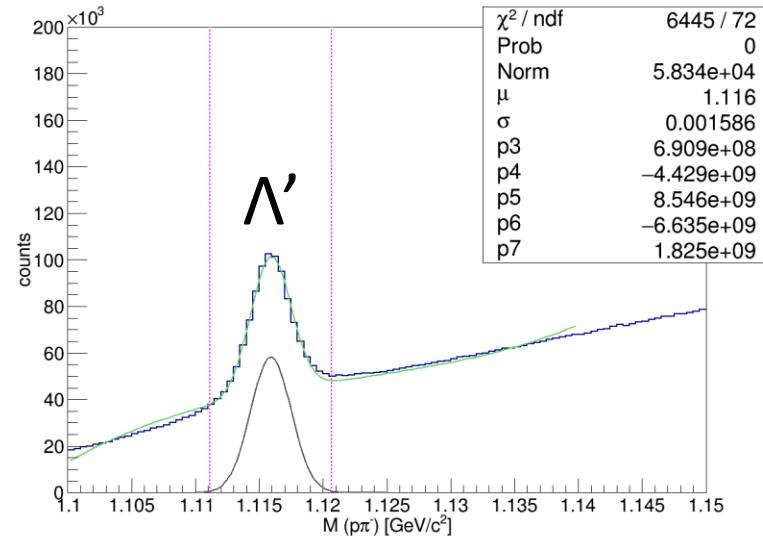
## Summary/Future Work

- There are many  $\Lambda p$  events in the g12 data
- Various corrections still need to be made but all the mechanisms are in place.
- Helicity dependent cross sections are also possible

Side Band



# Cuts



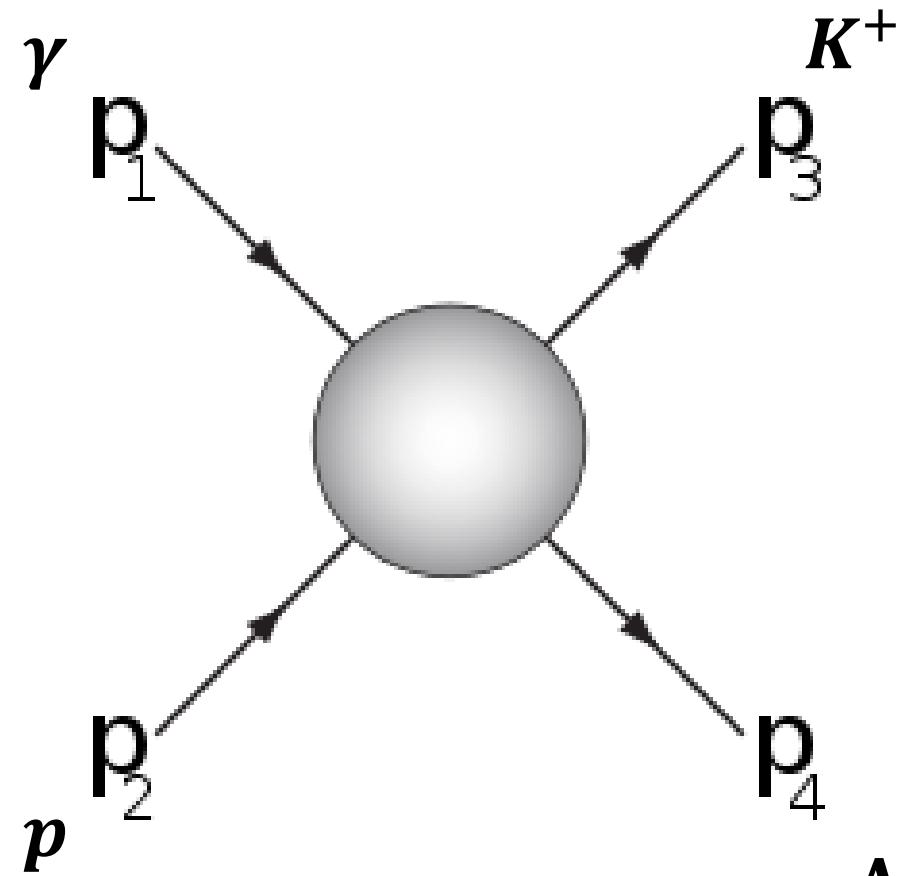
# Extra (Mandelstam Variables)

$$t = (p_1 - p_3)^2 = (p_4 - p_2)^2$$

$$\cos(\theta)_{K^+} = \frac{t + 2E_\gamma E_{K^+} - m_{K^+}^2}{2E_\gamma \sqrt{E_{K^+}^2 - m_{K^+}^2}}$$

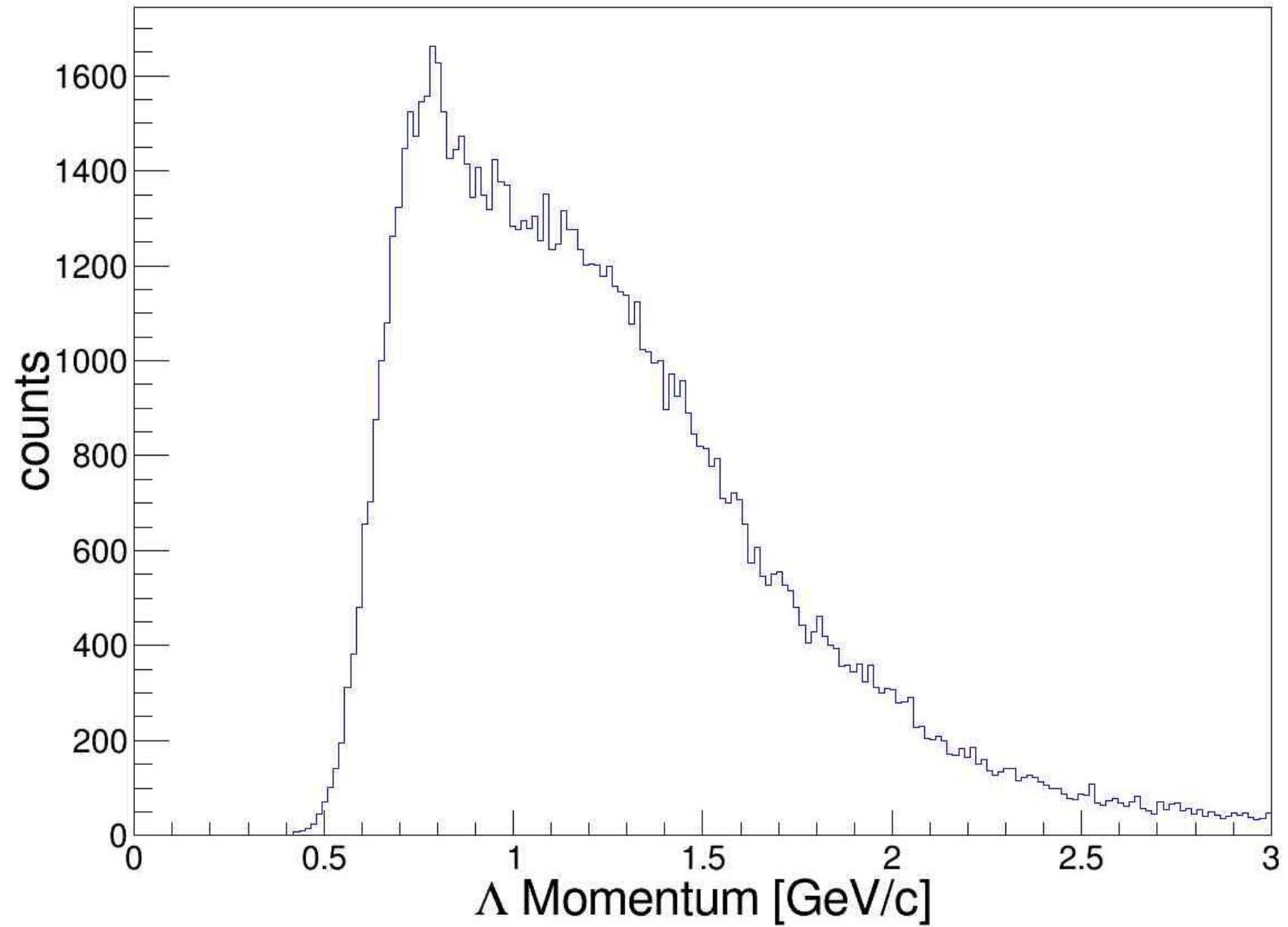
$$E_{K^+} = E_\gamma + m_p - E_\Lambda$$

$$E_\Lambda = -\frac{t - m_p^2 - m_\Lambda^2}{2m_p}$$

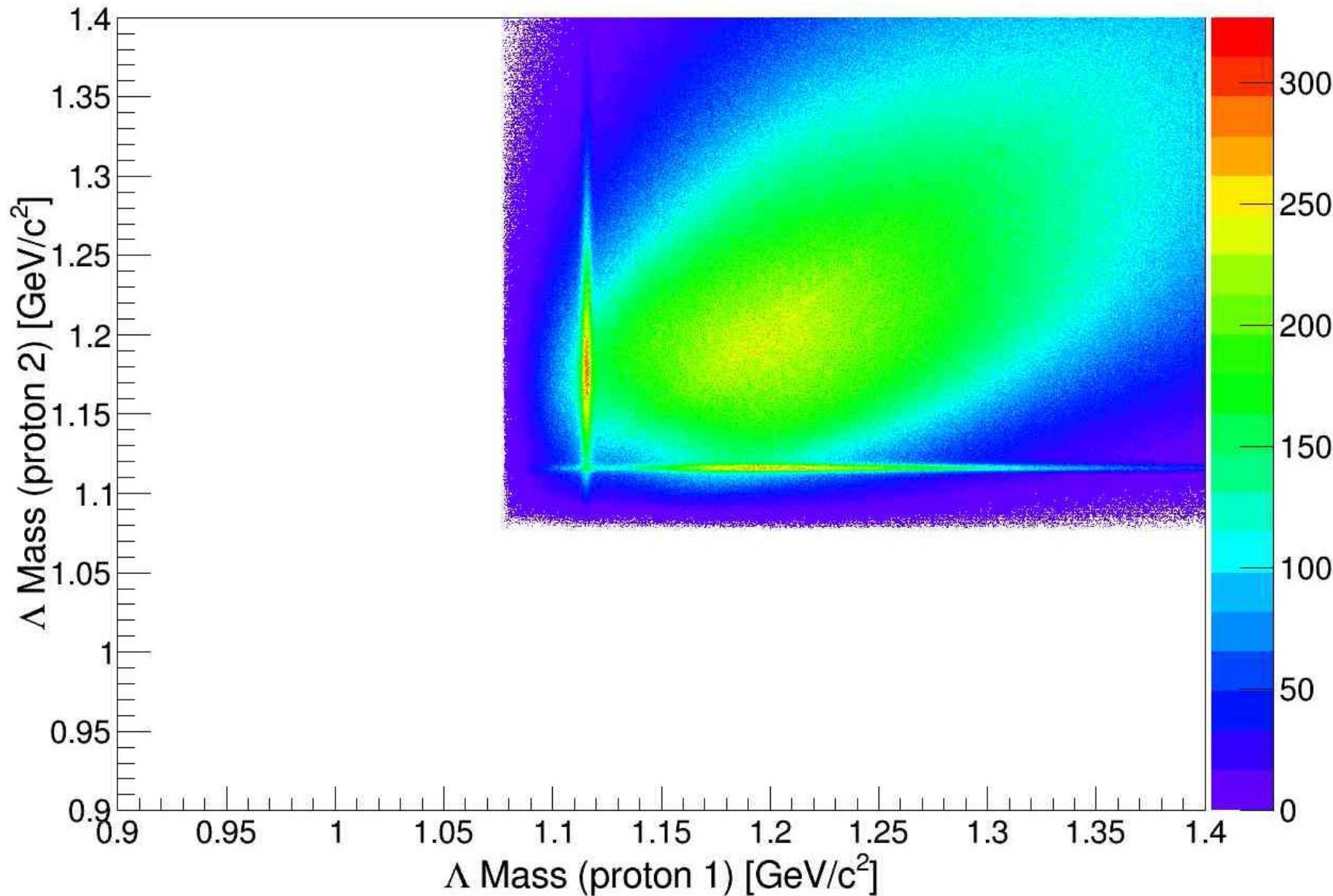


$\cos(\theta)_{K^+ CM} \rightarrow \cos(\theta)_{\Lambda LAB}$

# Extra (Global $\Lambda$ Momentum)

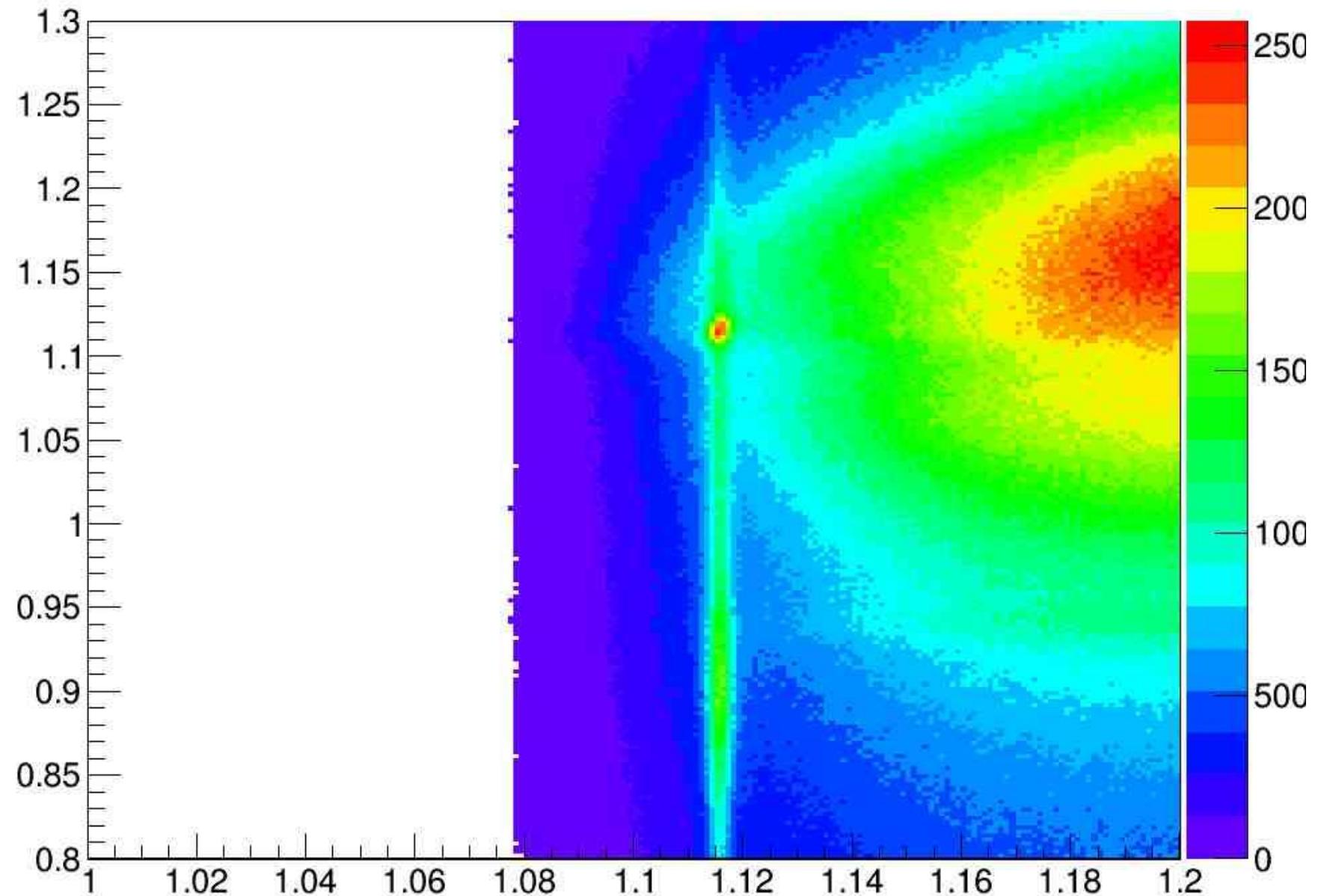


# Extra (Invariant Mass)



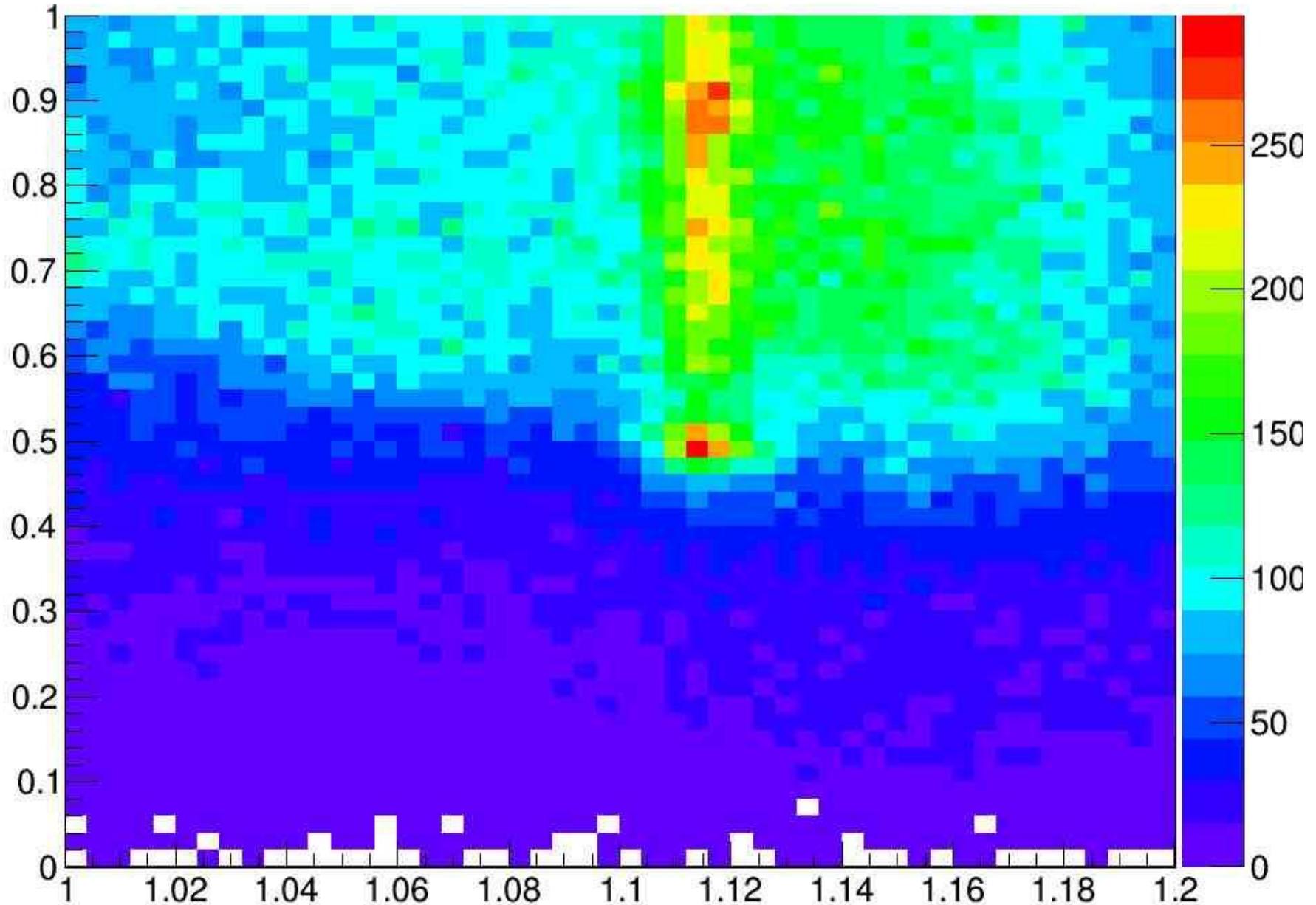
# Incident Mass vs. Lambda Mass

Extra



# Missing Mass vs. Incident Mass

Extra



# Extra (Global Energy Spectrum)

Energy vs  $\cos(\theta)$

