

# Bump Hunt on 2016 Dataset

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May 24, 2018

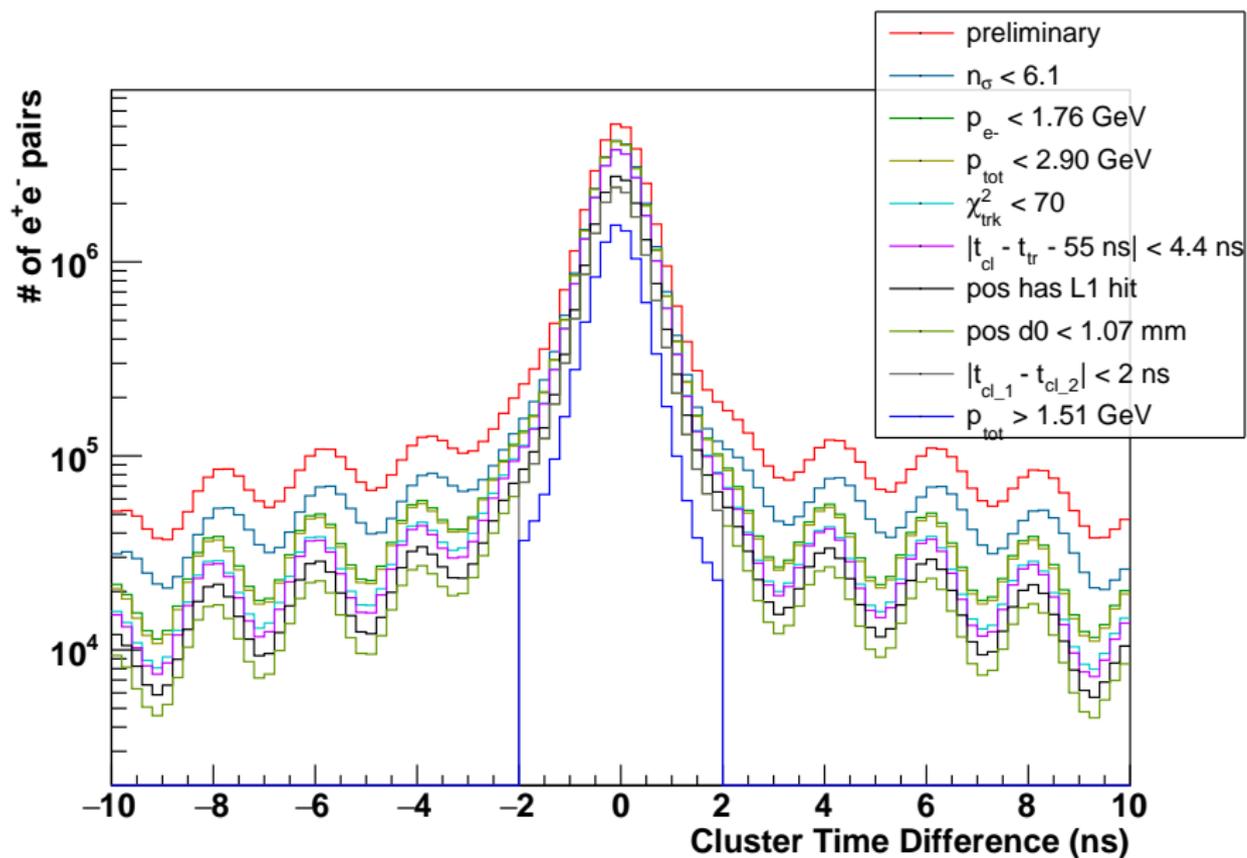
# Outline

- ▶ Pre-Fitting
  - ▶ Event Selection
  - ▶ Mass Resolution & Signal Shape
  - ▶ Radiative Fraction
- ▶ Bump Hunt
  - ▶ Background & Signal Models
  - ▶  $p$ -values
  - ▶ Look Elsewhere Effect
  - ▶ Exclusion Limits on Signal Yield & Coupling
- ▶ Conclusions & To Do List

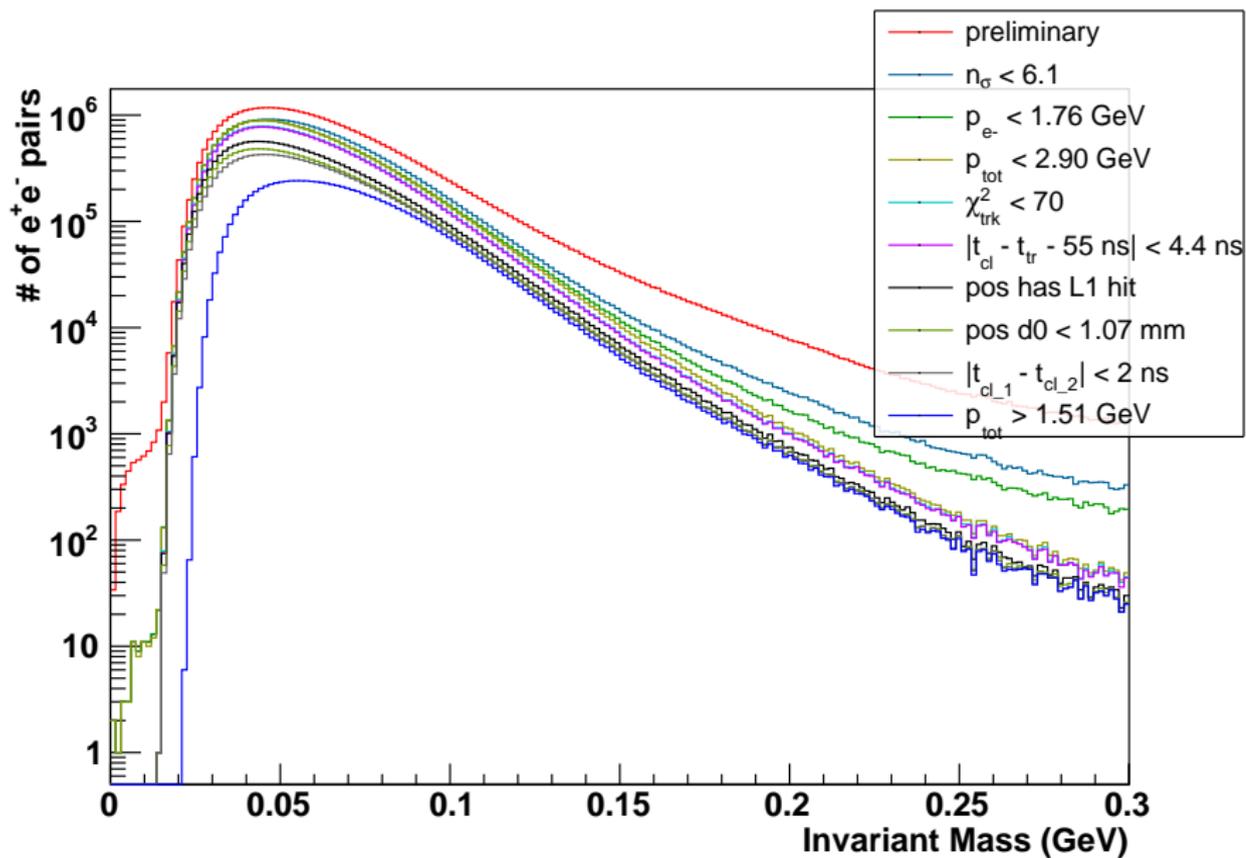
# Event-Selection Cuts

- ▶ Preliminary cuts
  - ▶ SVT flags good.
  - ▶  $e^+e^-$
  - ▶ if tracks share  $\geq 4$  hits, use track with best  $\chi^2$
  - ▶ both tracks matched to a cluster
- ▶ Accidental reduction
  - ▶  $n_\sigma < 6.1$  both tracks
  - ▶  $|t_{\text{trk}} - t_{\text{clust}}| < 4.4$  ns for both tracks
  - ▶  $p_{e^-} < 1.76$  GeV ( $\approx 76\% E_{\text{beam}}$ , reduces FEEs)
  - ▶  $p_{\text{tot}} < 2.9$  GeV ( $\approx 126\% E_{\text{beam}}$ )
  - ▶  $|t_{\text{clust},1} - t_{\text{clust},2}| < 2$  ns
  - ▶ track  $\chi^2 < 70$
- ▶ Bethe-Heitler and WAB reduction
  - ▶  $p_{\text{tot}} > 1.51$  GeV ( $\approx 65\% E_{\text{beam}}$ )
  - ▶  $d_{0,e^+} < 1.07$  mm
  - ▶ positron has L1 cut

# Cutflows: Cluster-Time Difference



# Cutflows: Invariant Mass

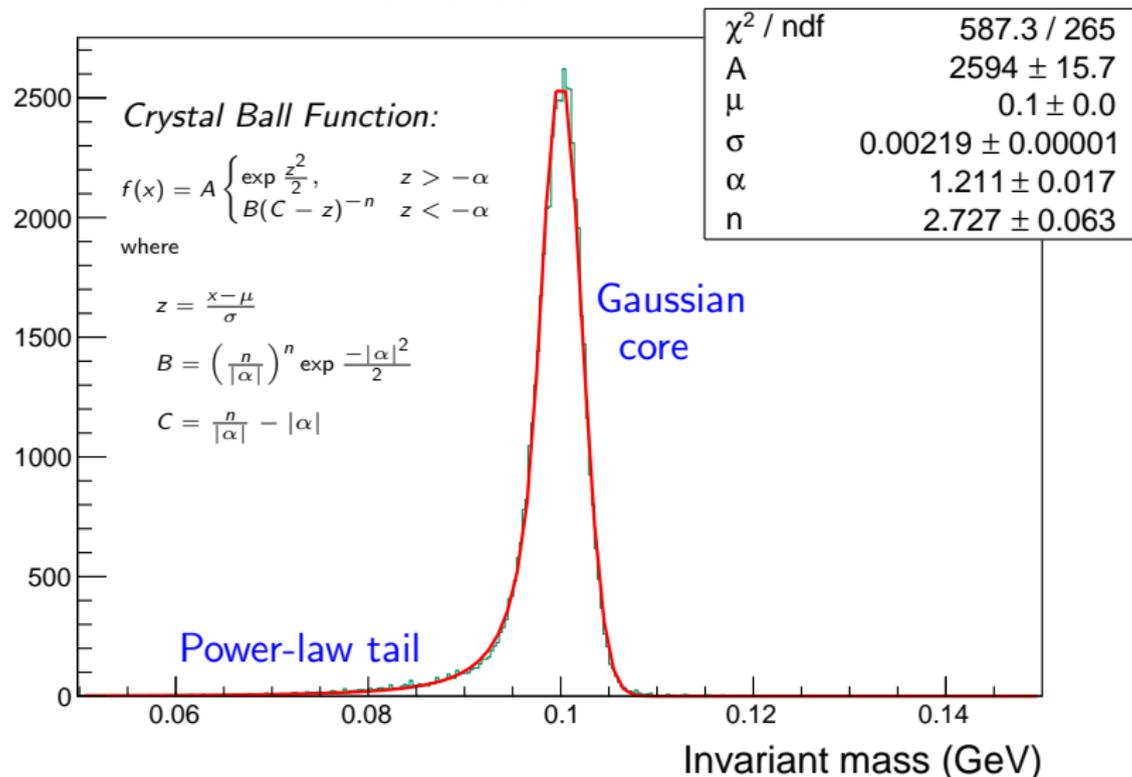


## Mass Resolution & Signal Shape

- ▶ Use  $A'$  Monte Carlo at several mass hypotheses.
  - ▶ Included wab-beam-tri background
  - ▶ Same cuts as in data
  - ▶ Fit mass spectrum to Crystal-Ball function
- ▶ Use Møller pairs to correct for mismatch in mass resolution between data and MC.
  - ▶ See slide 8 for cuts
  - ▶ Fit to Crystal-Ball function
  - ▶  $\sigma_{A',\text{corr}} = \sigma_{A',\text{MC}} \left[ \frac{\sigma_{\text{Mø1,data}}}{\sigma_{\text{Mø1,MC}}} \right]$

# A' Signal Shape:

## Reconstructed A' Mass



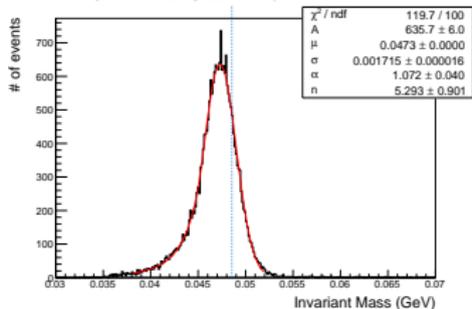
# Møller Event Selection

- ▶ Event Samples used:
  - ▶ Carbon-target calibration run (8054)
  - ▶ MC: moller-WBT
- ▶ Selection Cuts
  - ▶ All flags good.
  - ▶ both tracks: fit  $\chi^2/\text{d.o.f.} < 7$
  - ▶ both tracks:  $p < 1.75$  GeV
  - ▶ exactly one track matches to a cluster ( $n_\sigma < 7$ )
  - ▶ track time difference  $< 3$  ns ( $\approx 3\sigma_{t\_track}$ )
  - ▶  $1.8$  GeV  $< p_{\text{sum}} < 2.9$  GeV
  - ▶ Target-constrained vertex  $\chi^2 < 100$
  - ▶ Single-0 trigger

# Signal-Shape Correction

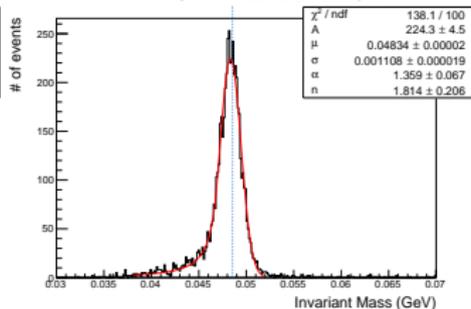
Moller Pairs in Data

$\sigma = 1.72 \text{ MeV}$

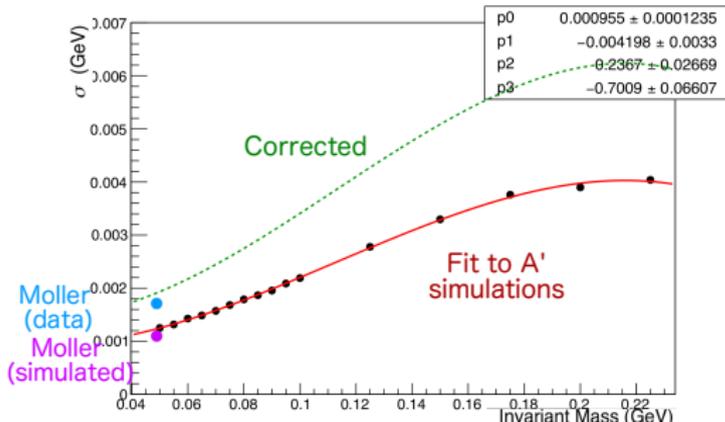


Moller Pairs in MC

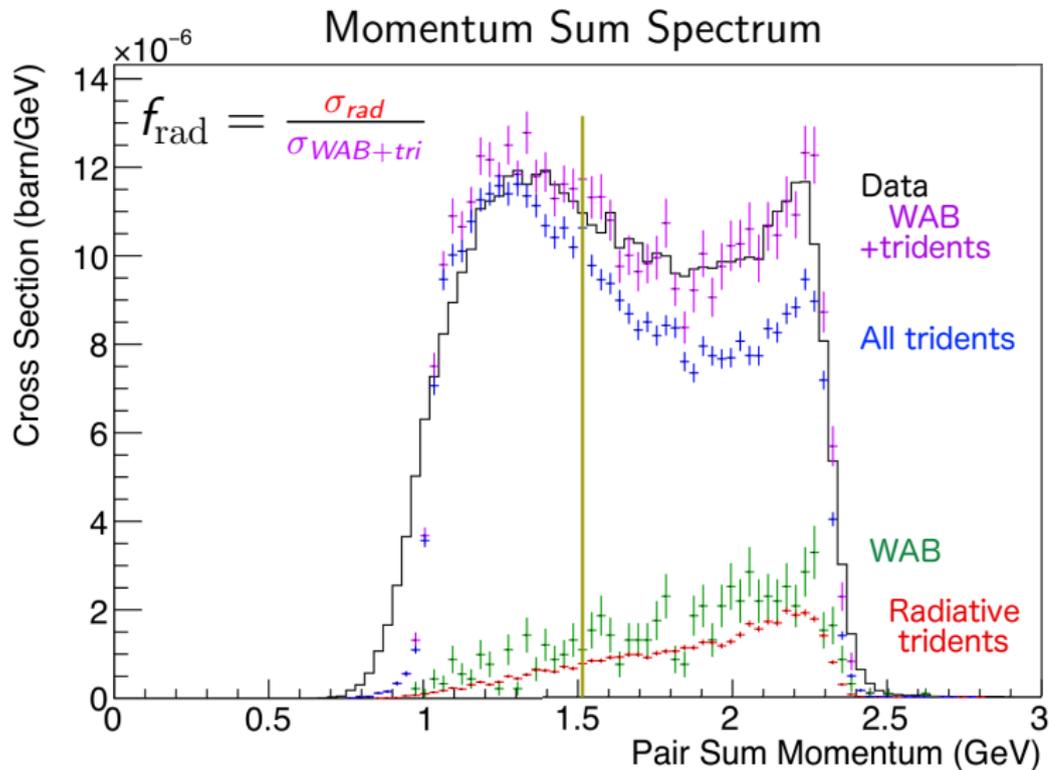
$\sigma = 1.11 \text{ MeV}$



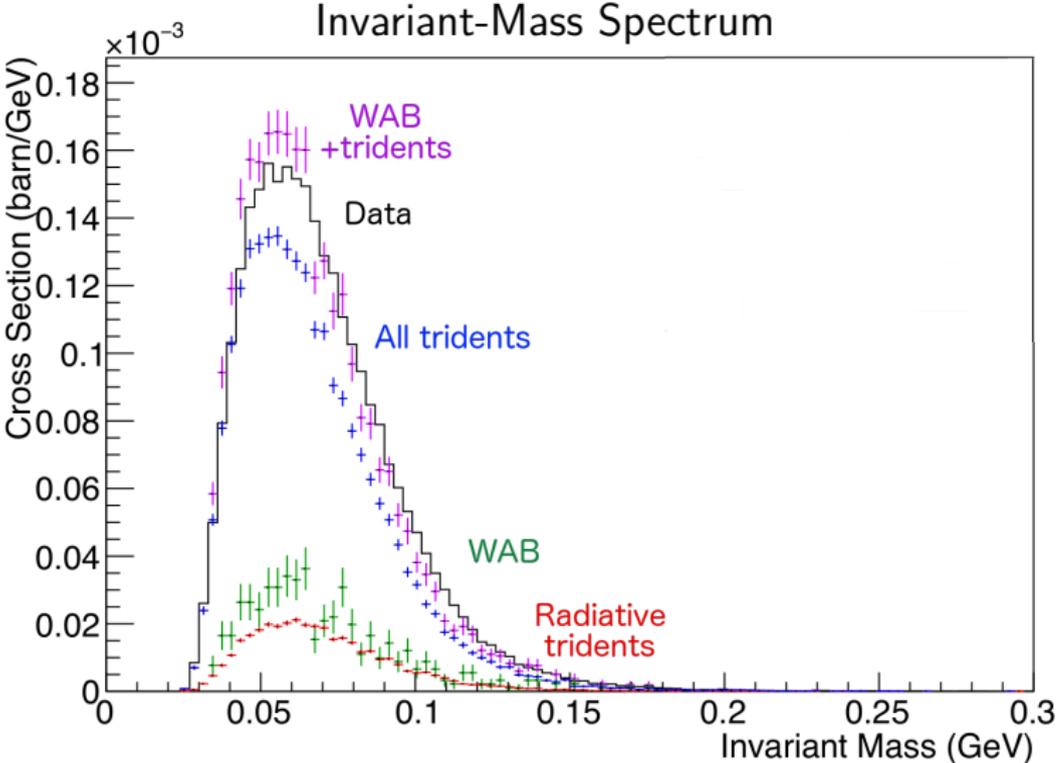
Corrected Width (55% increase)



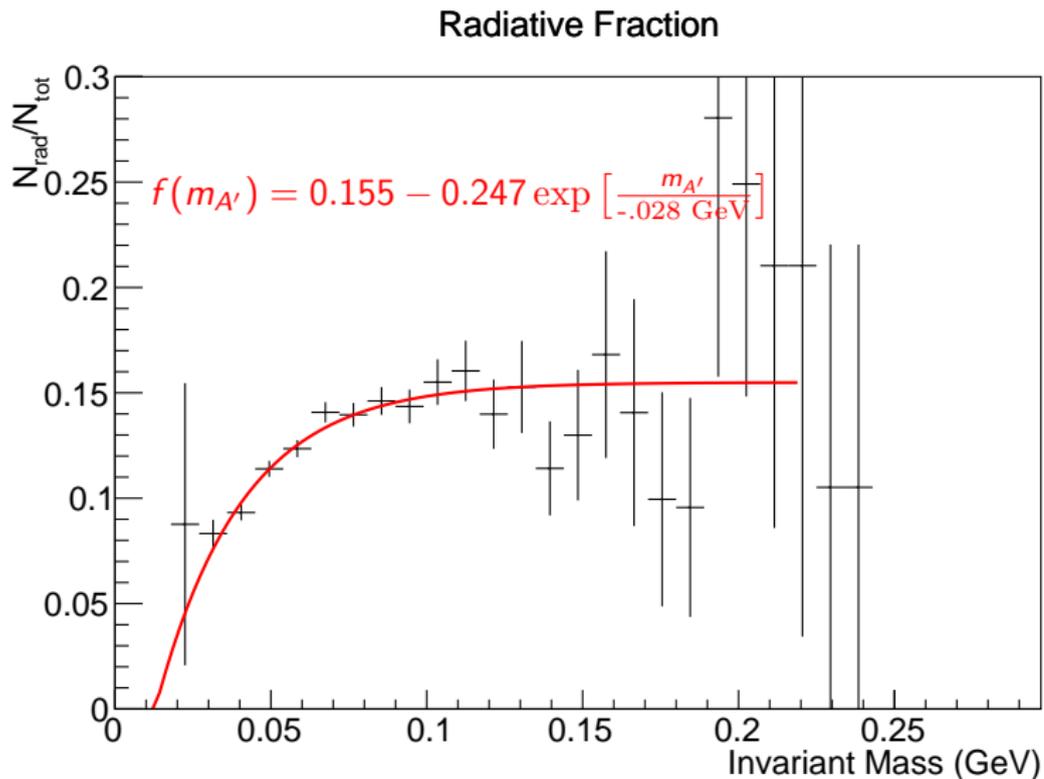
# Radiative Fraction



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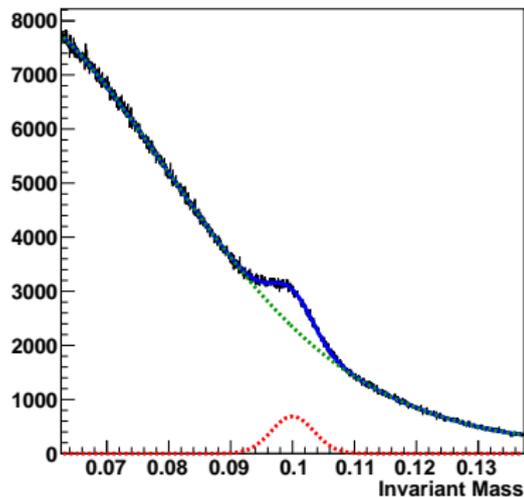


# Radiative Fraction

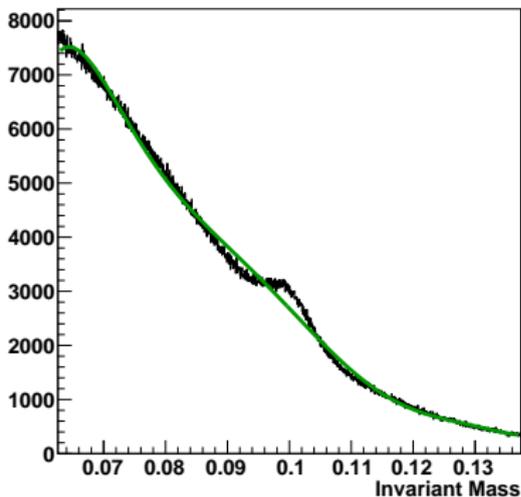


# Formalism of a Bump Hunt Analysis: Log Likelihood Test

Signal + Background



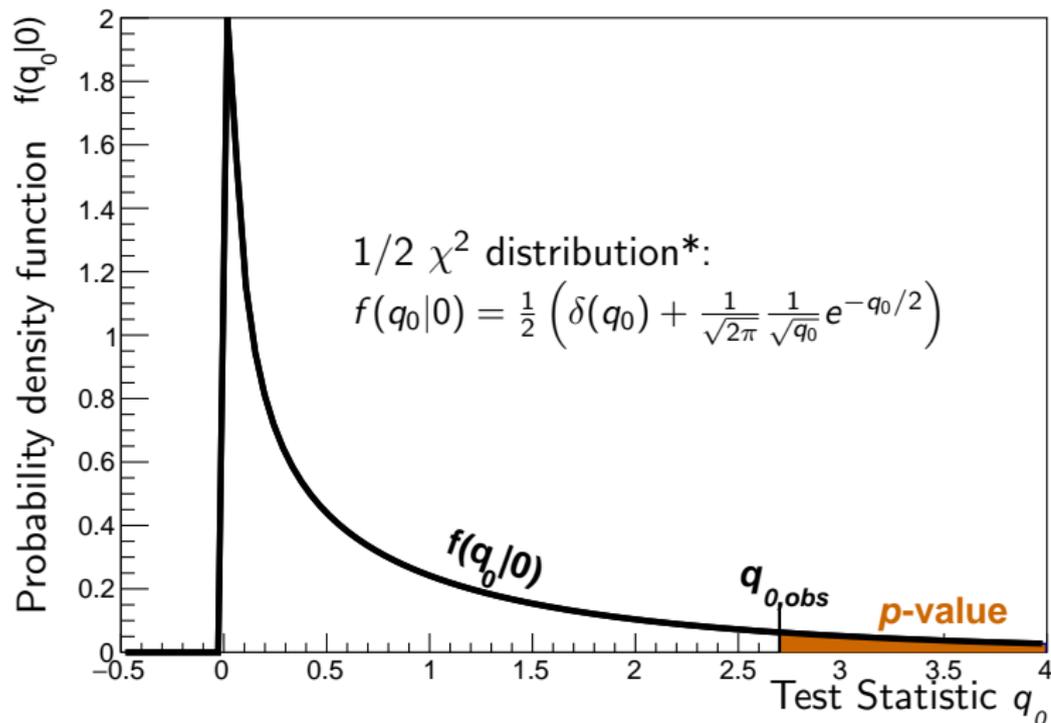
Background Only



$$\text{Test statistic } q_0 = \begin{cases} 2 \log \frac{\mathcal{L}(\hat{\mu}, \hat{\theta})}{\mathcal{L}(0, \hat{\hat{\theta}})}, & \hat{\mu} > 0 \\ 0, & \text{else} \end{cases}$$

# Formalism of a Bump-Hunt Analysis: $p$ -Values

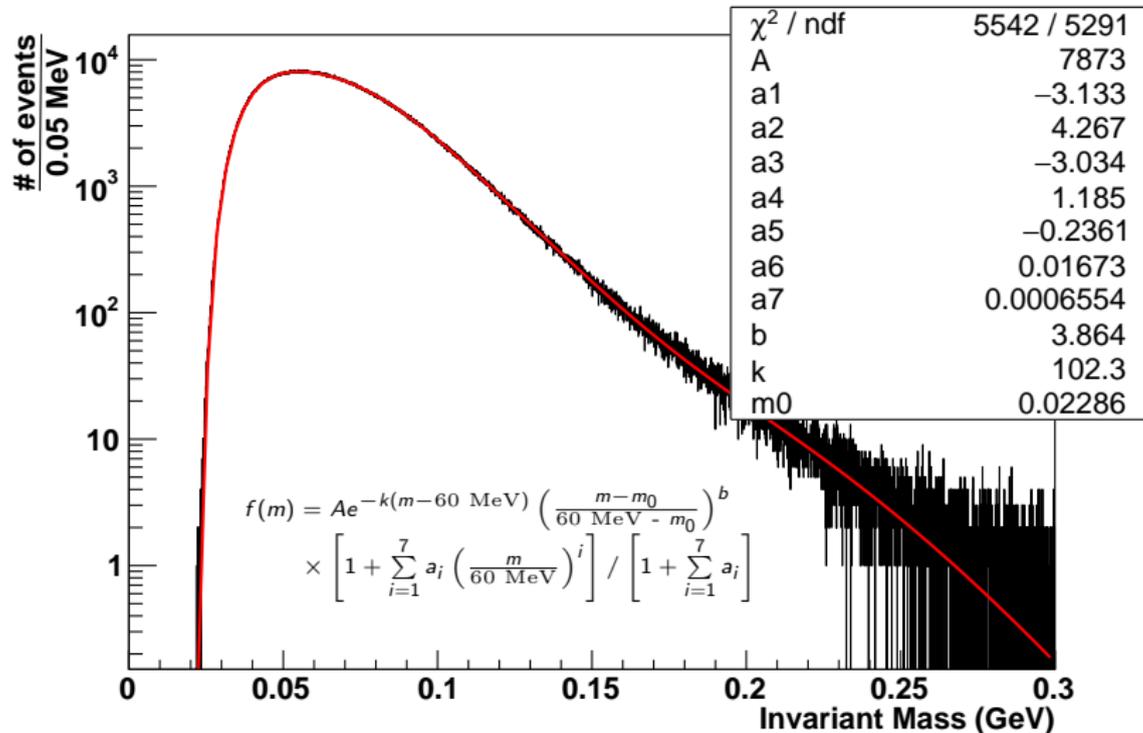
## Relationship between $p$ -value and $q_0$



\*Cowan et. al., 1007.1727

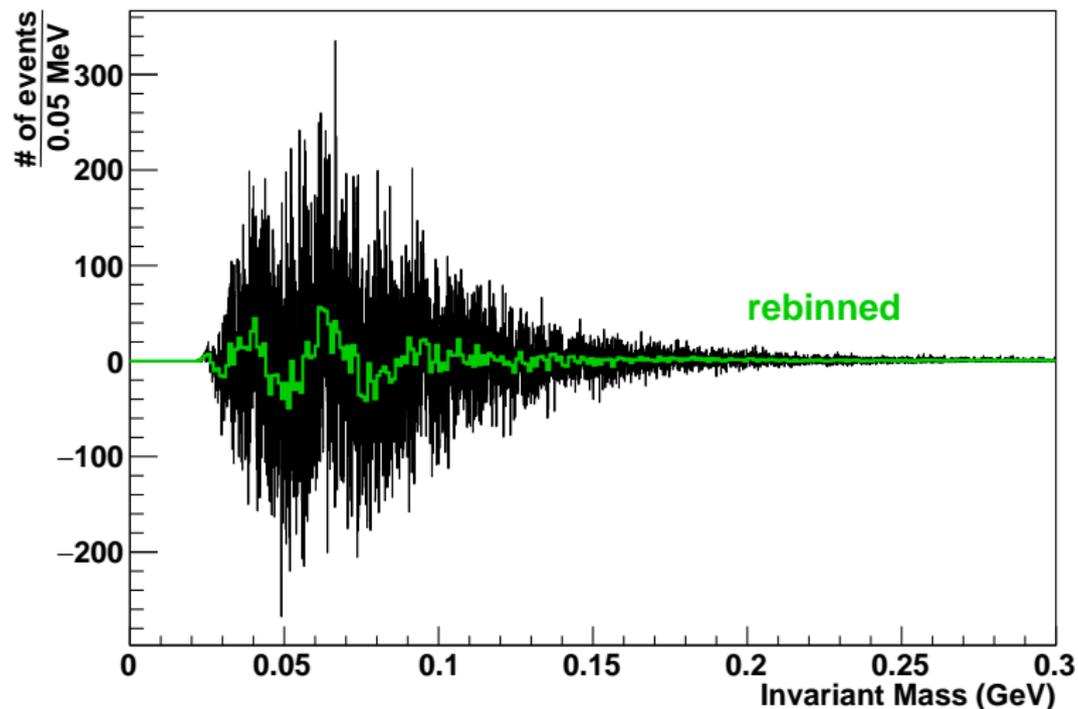
# Global Background Model

Fit to Data



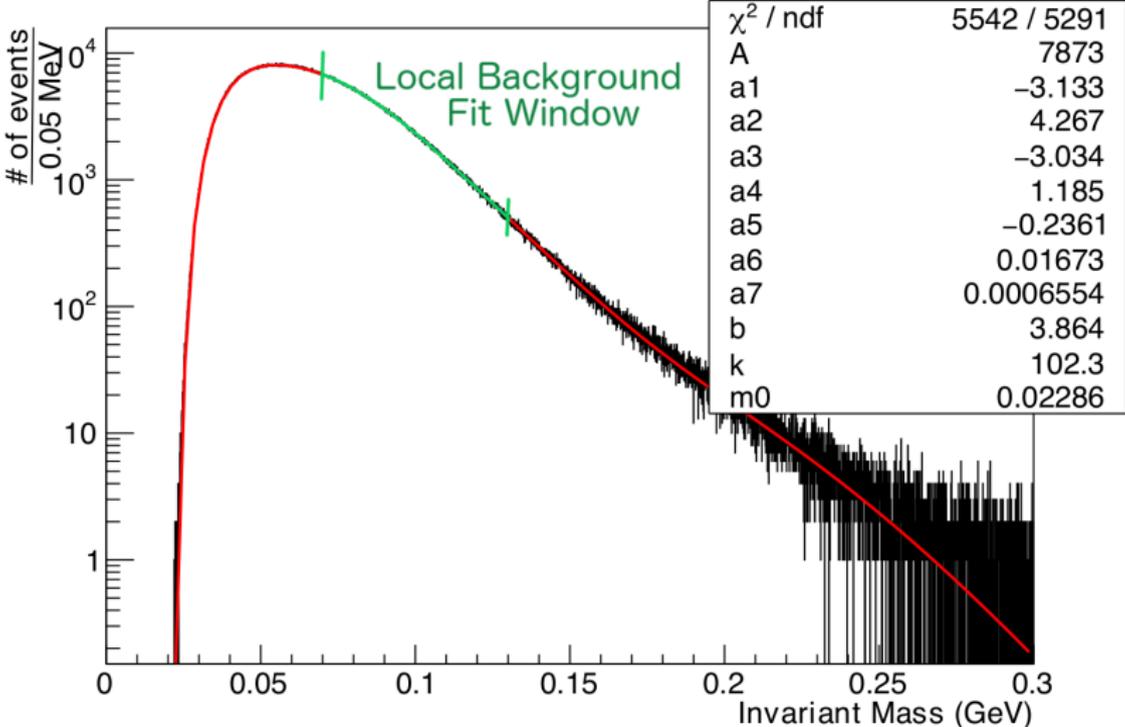
# Global Background Model

Residuals of Global Fit



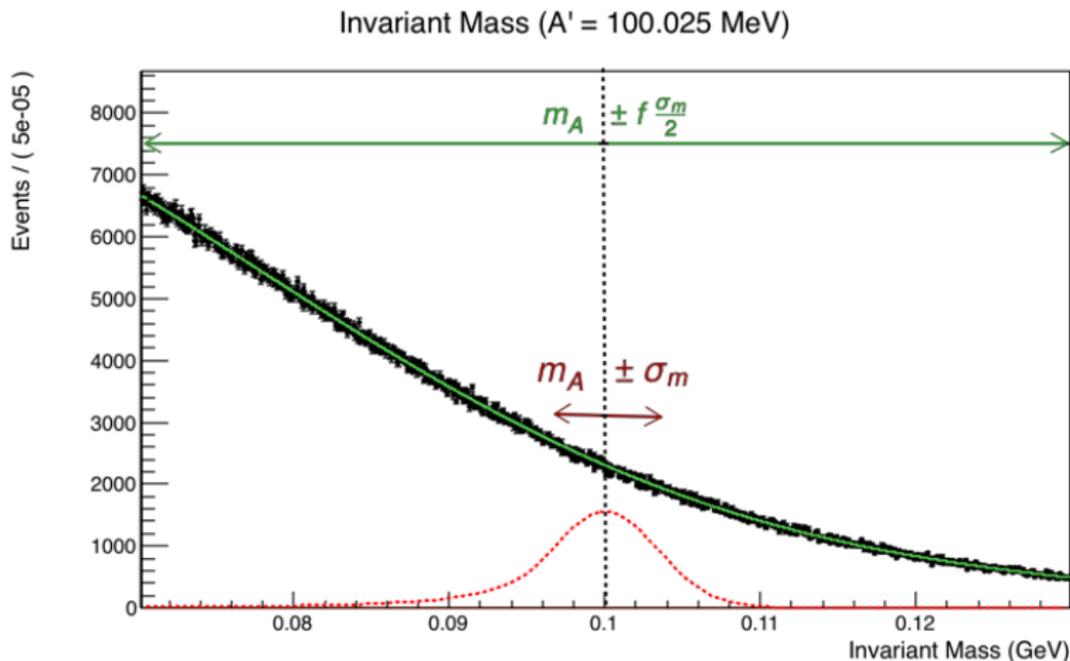
# Global Fit → Local Fit

Fit to Data

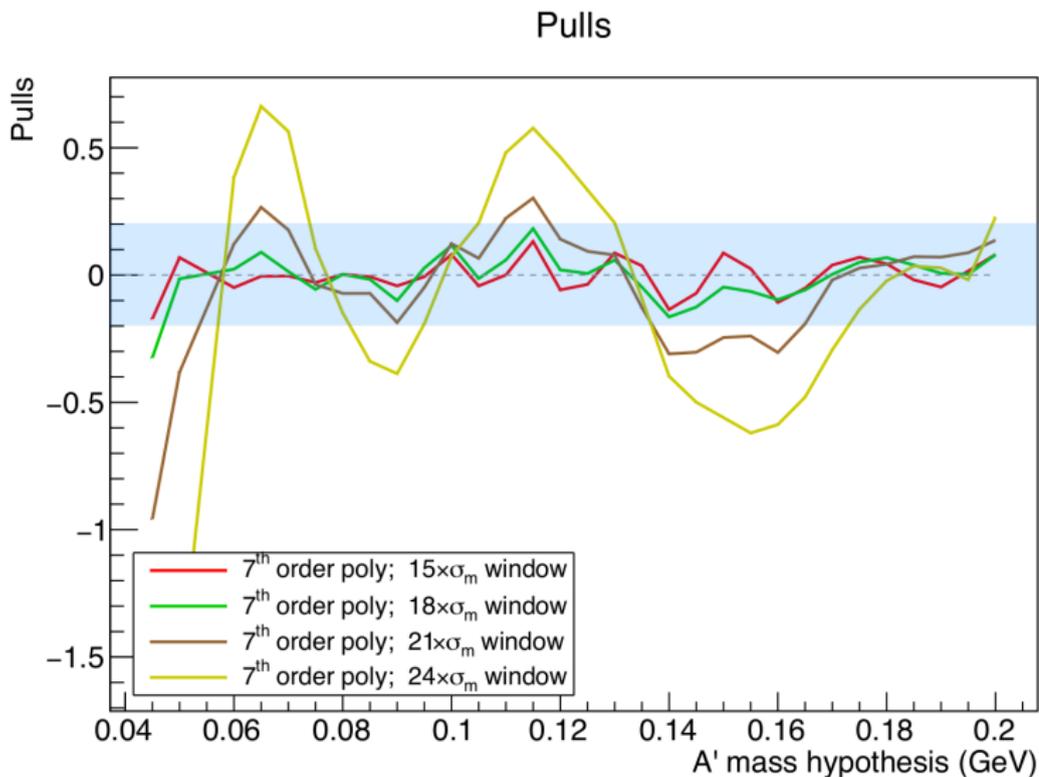


# Local Background Model

$p^{\text{th}}$  order polynomial in a window  $m \in [m_{A'} - \frac{f\sigma_m}{2}, m_{A'} + \frac{f\sigma_m}{2}]$

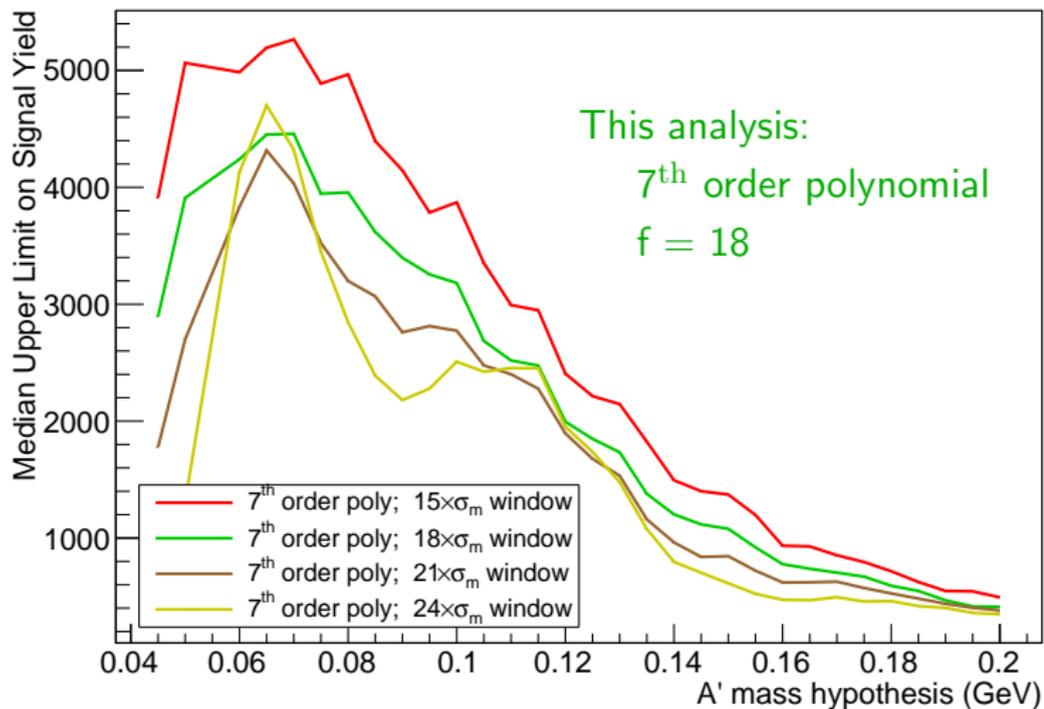


# Local Background Model Comparison

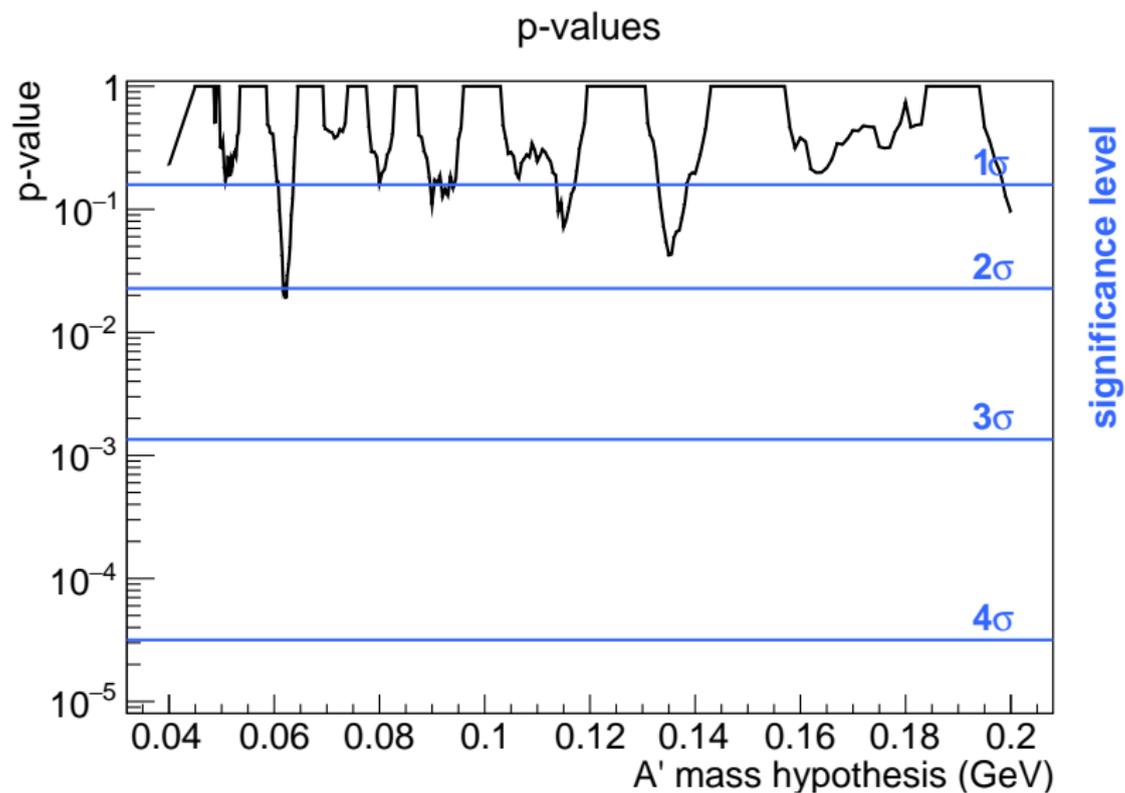


# Local Background Model Comparison

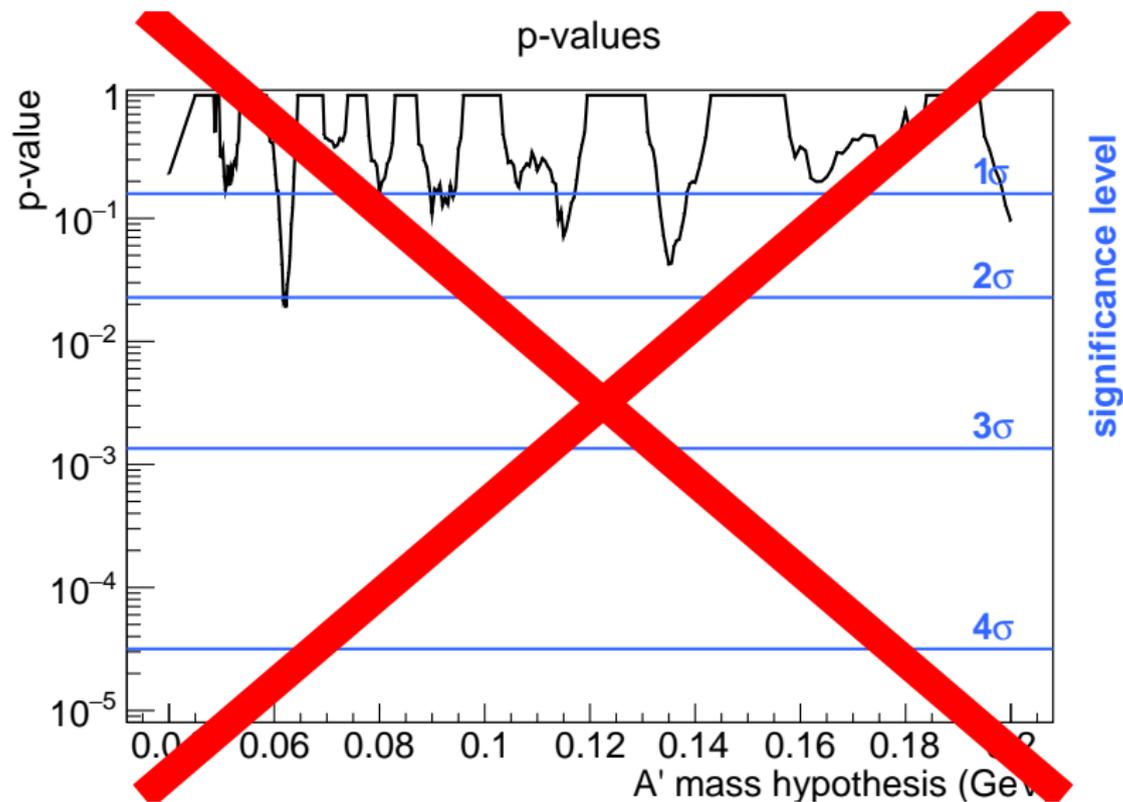
## Median Upper Limit on Signal Yield



## $p$ -Values

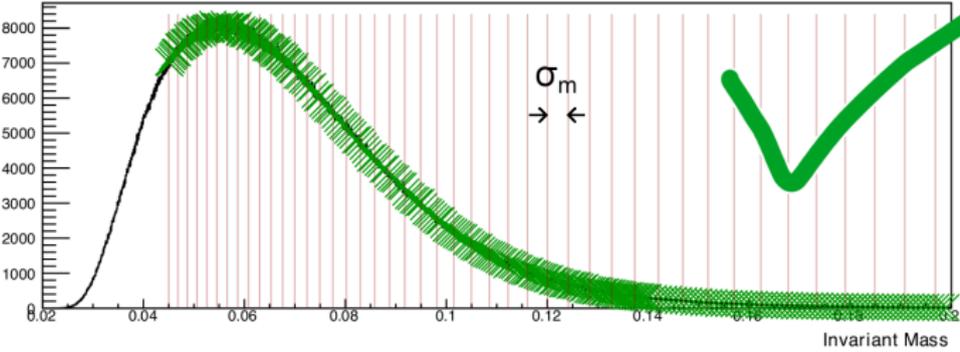
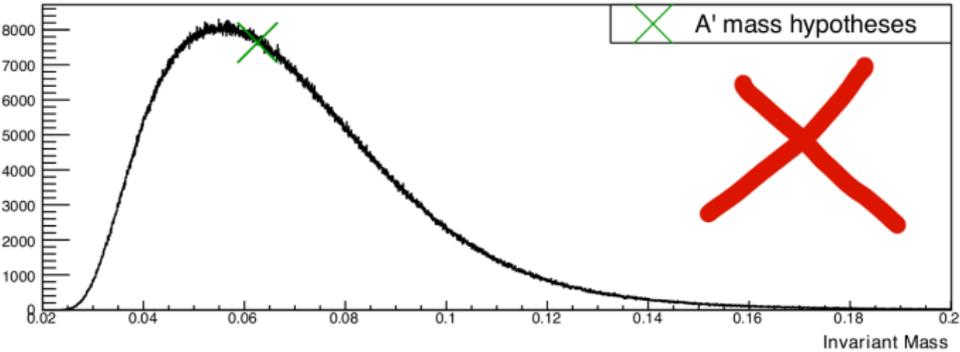


## $p$ -Values



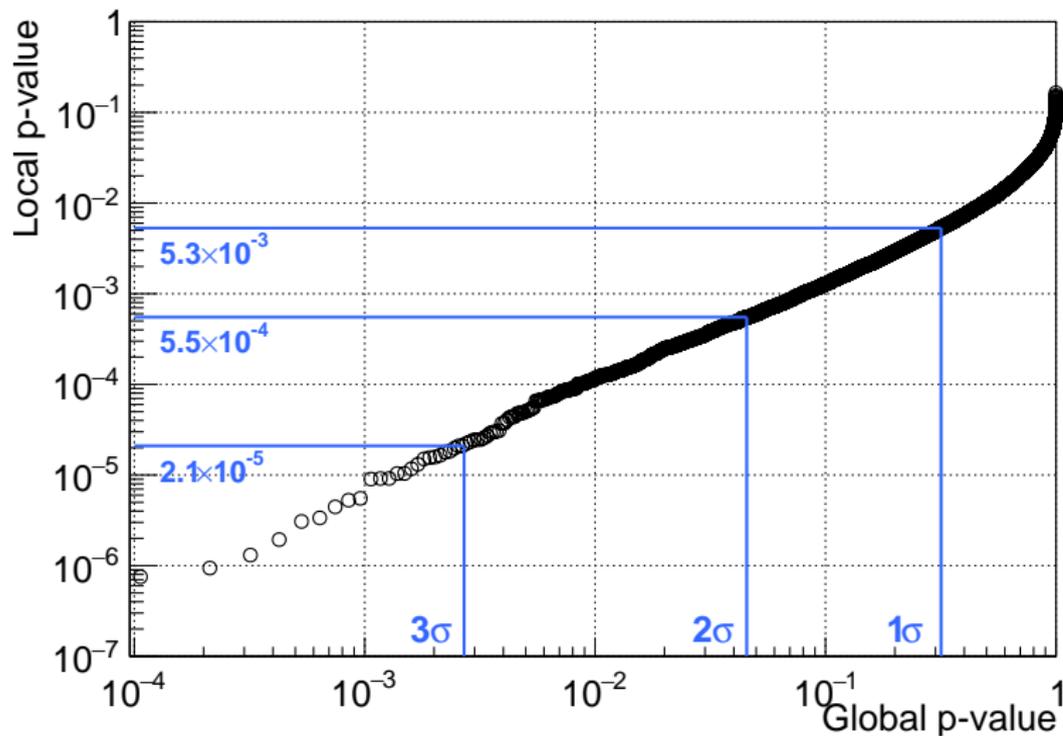
**WARNING: DID NOT TAKE INTO ACCOUNT LOOK ELSEWHERE EFFECT**

# Look Elsewhere Effect

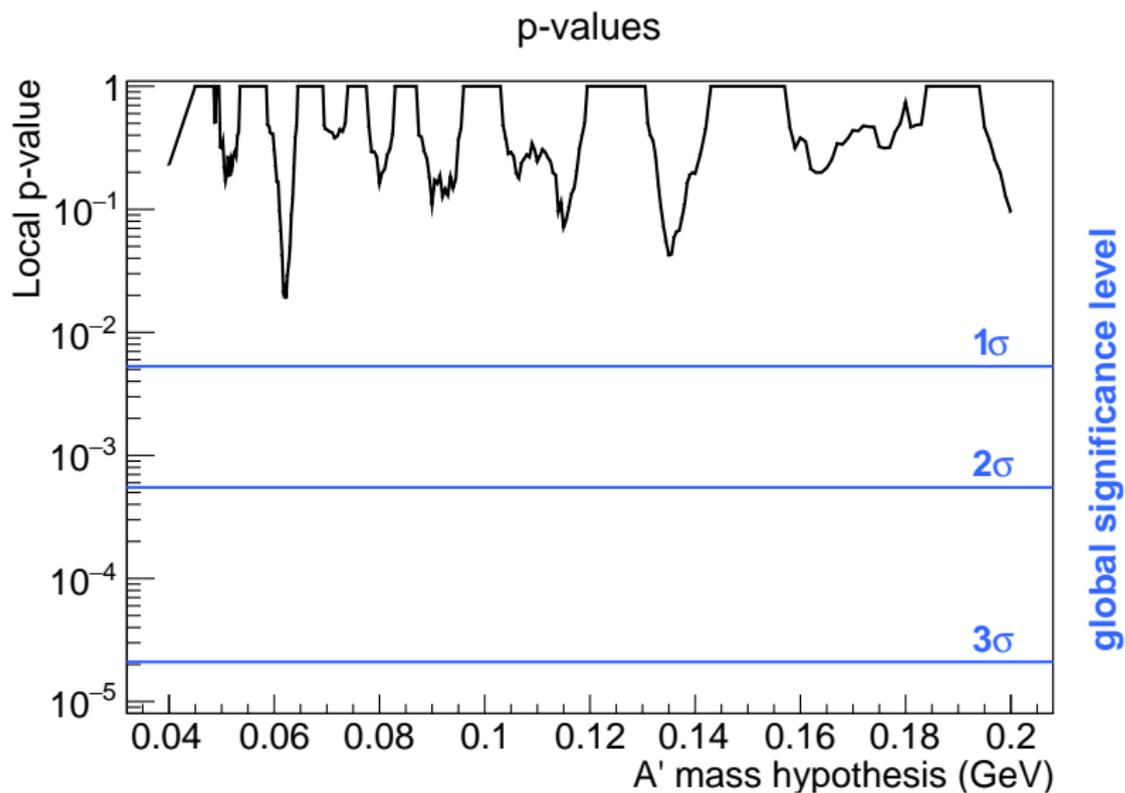


# Look Elsewhere Effect

Global vs. Local p-values

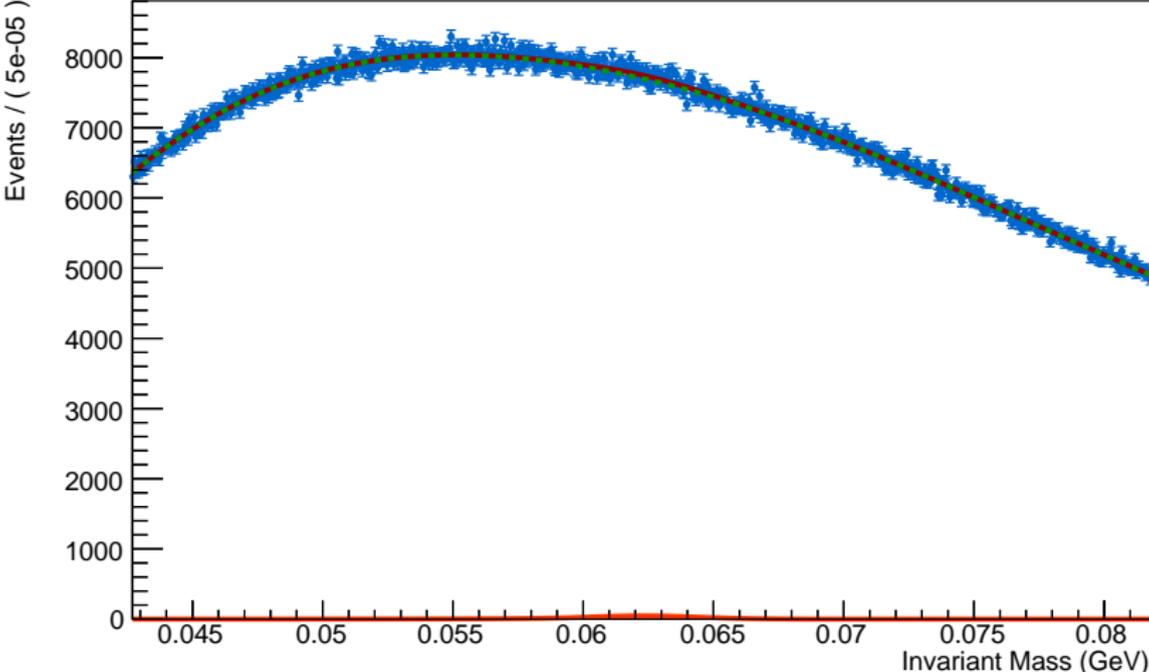


## $p$ -Values (Corrected for Look Elsewhere Effect)



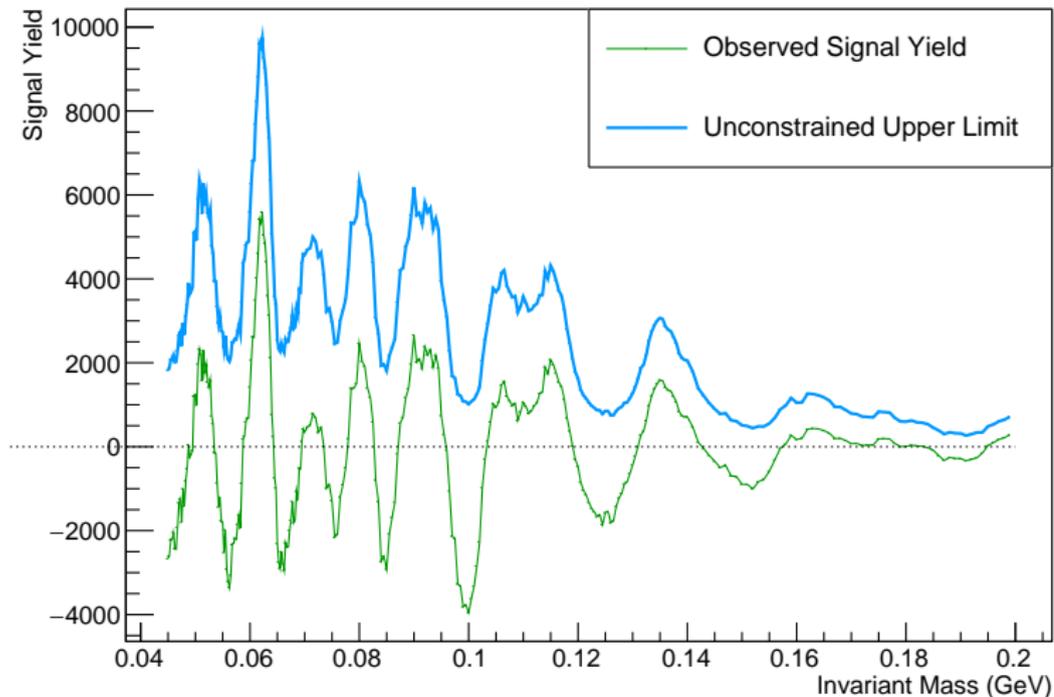
# Most Significant Bump-Candidate

Invariant Mass ( $A' = 62.275 \text{ MeV}$ )



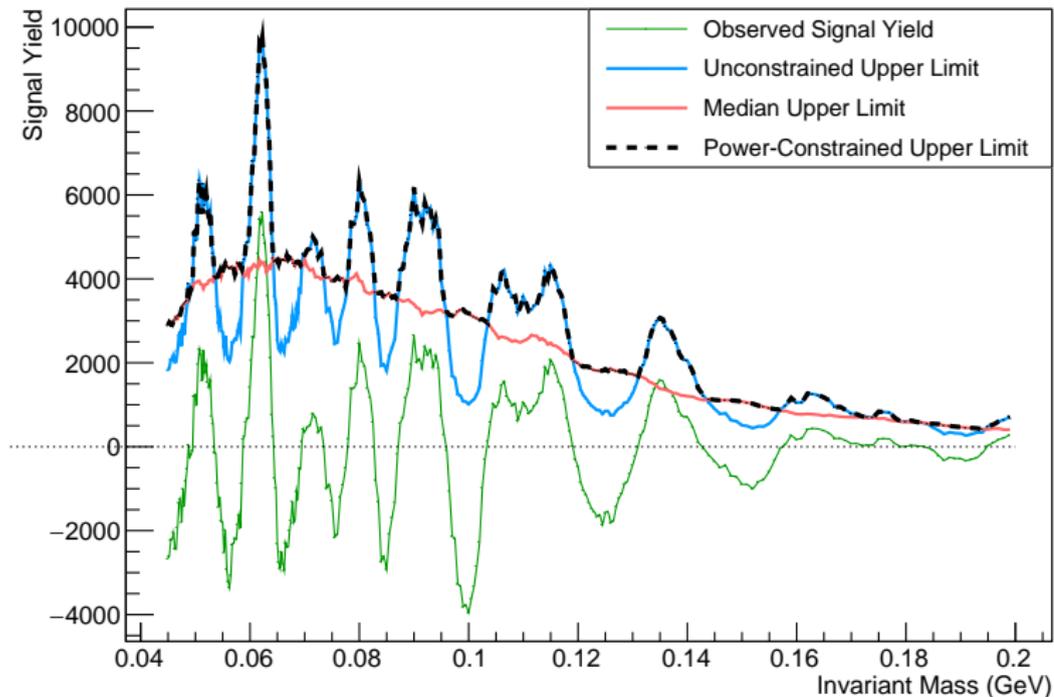
# Upper Limits on Signal Yield

## Signal Yield



# Upper Limits on Signal Yield: Power Constraint

## Signal Yield



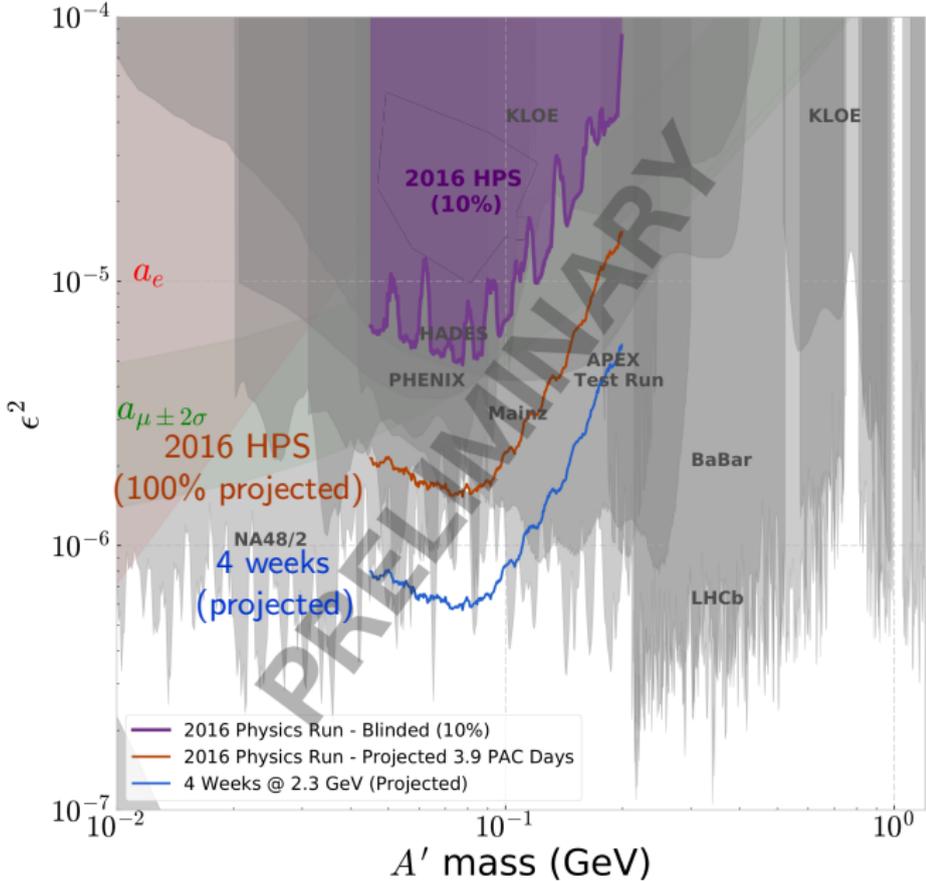
## Convert These to Upper Limits on Coupling ...

$$\epsilon_{\text{ul}}^2 = \frac{\mu_{\text{pc}}}{f_{\text{rad}}[\Delta B/\Delta m]} \frac{2N_{\text{eff}}\alpha}{3\pi m_{A'}}$$

where

- ▶  $\mu_{\text{pc}}$  = power-constrained upper limit on signal yield.
- ▶  $f_{\text{rad}}$  = fraction of events in sample that are radiative tridents
- ▶  $\Delta B/\Delta m$  = number of background events per mass in a mass window
- ▶  $N_{\text{eff}} = 1$ , for  $m_{A'} < 2m_{\mu}$

# Upper Limits on Coupling (Preliminary)



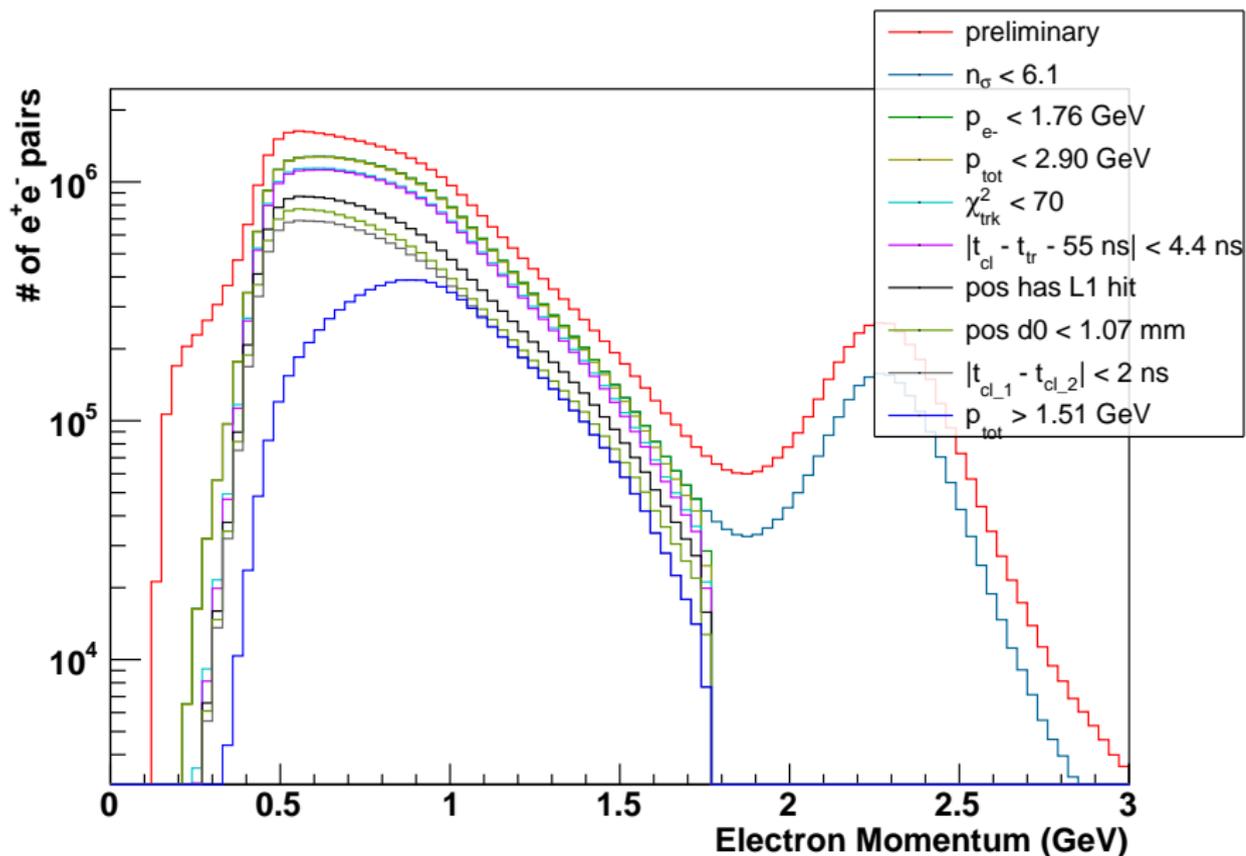
## Conclusions & To Do List

- ▶ We expect tiny reach from 2016 dataset after unblinding.
- ▶ Improved alignments  $\rightarrow$  Improved resolutions (hopefully)  $\rightarrow$  better reach.
- ▶ Improved fits could be done with  $\exp(\text{poly})$  background model (as Omar talked about)
- ▶ When the alignments are ready, I can rerun the bump hunt on the blinded 2016 datasets, and then unblinded

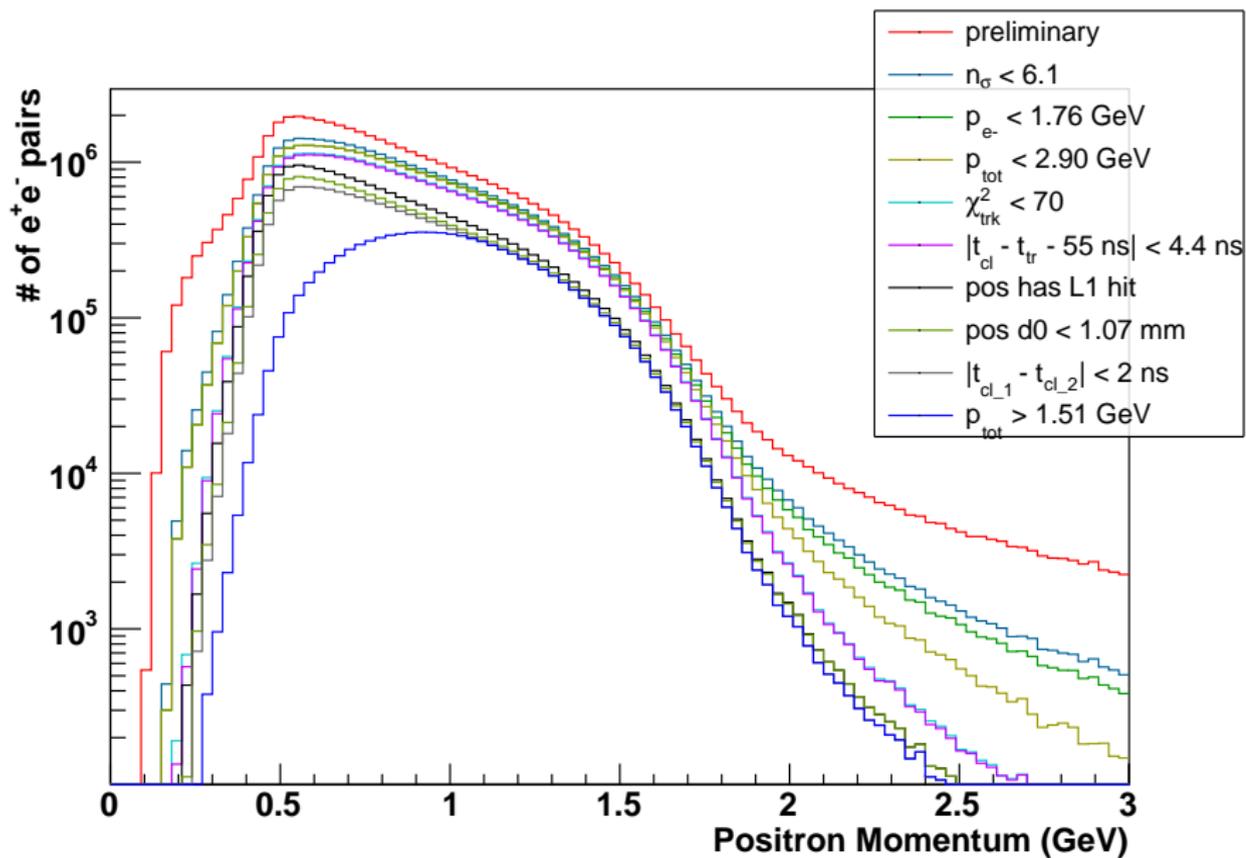
# Backup Slides



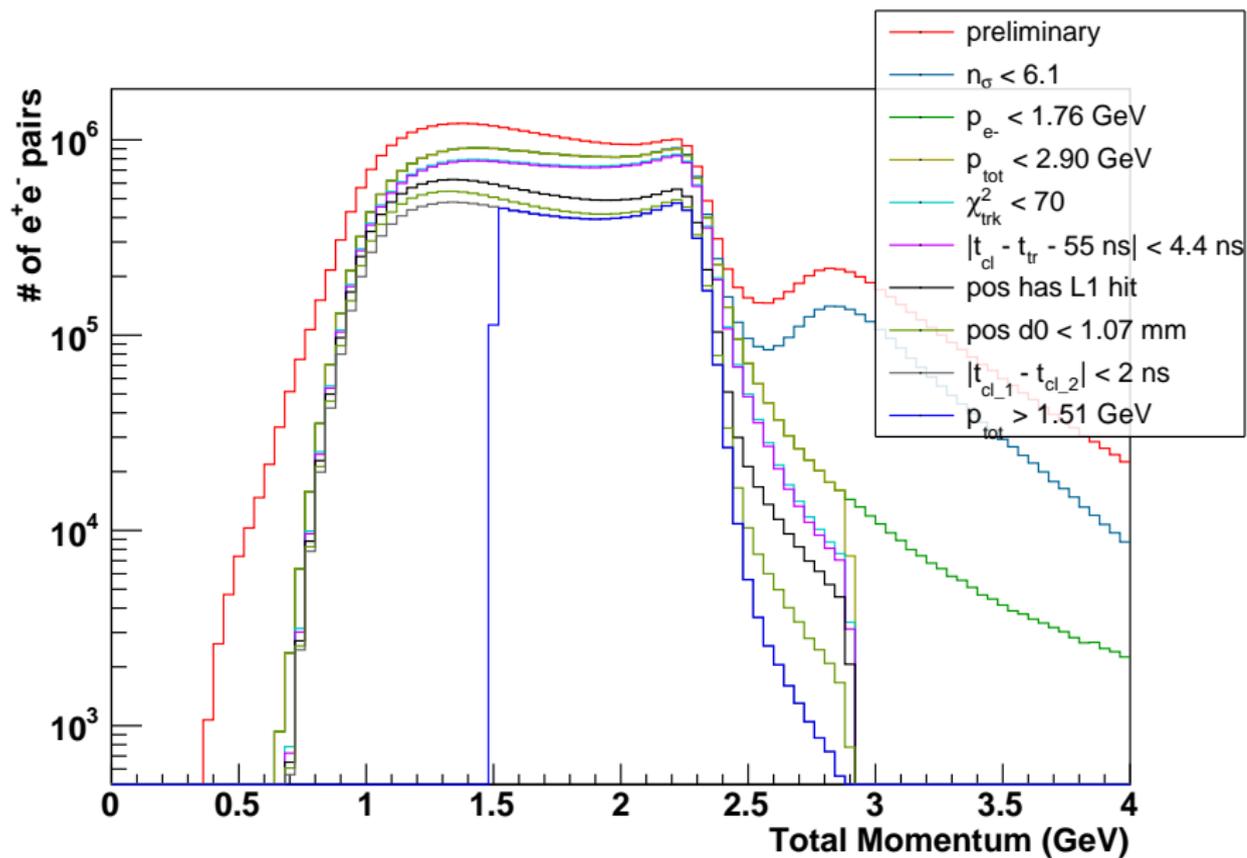
# Cutflows: Electron Momentum



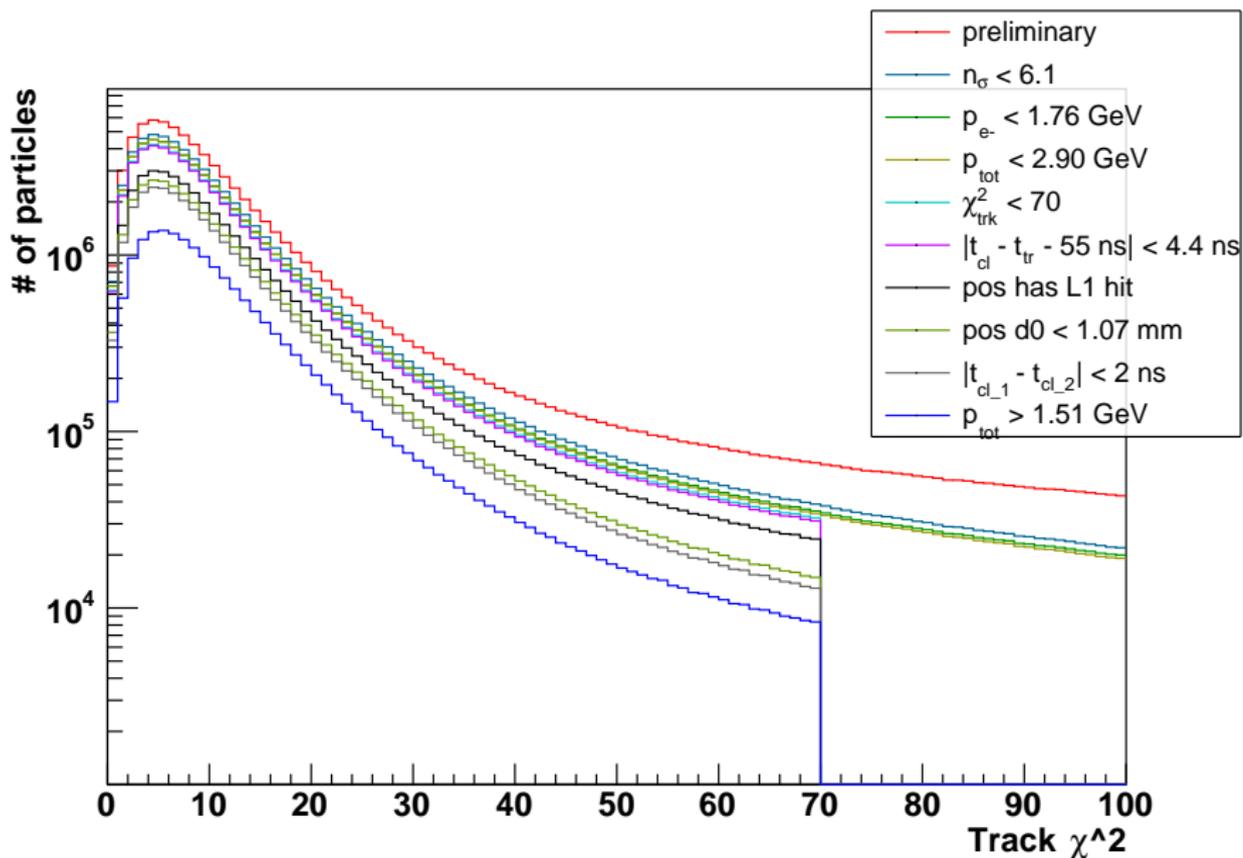
# Cutflows: Positron Momentum



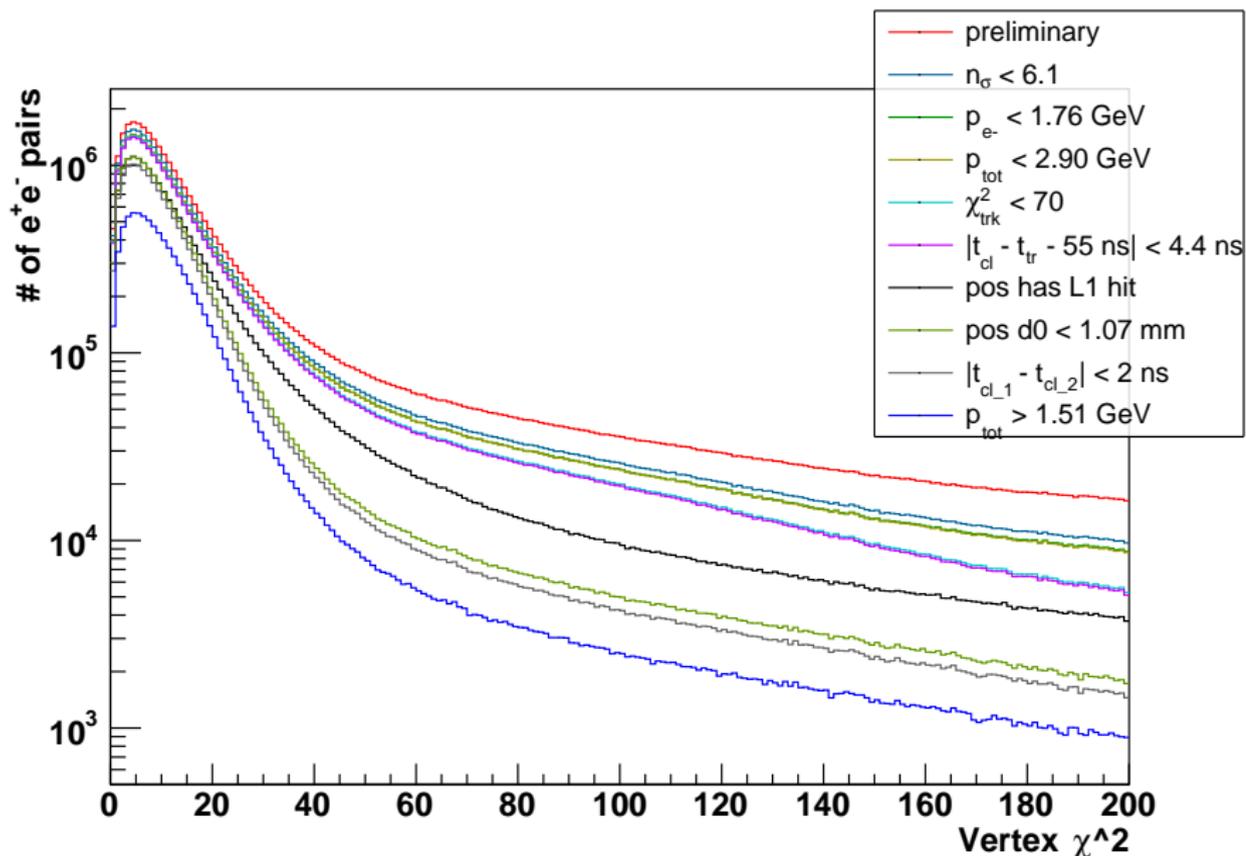
# Cutflows: Total Momentum



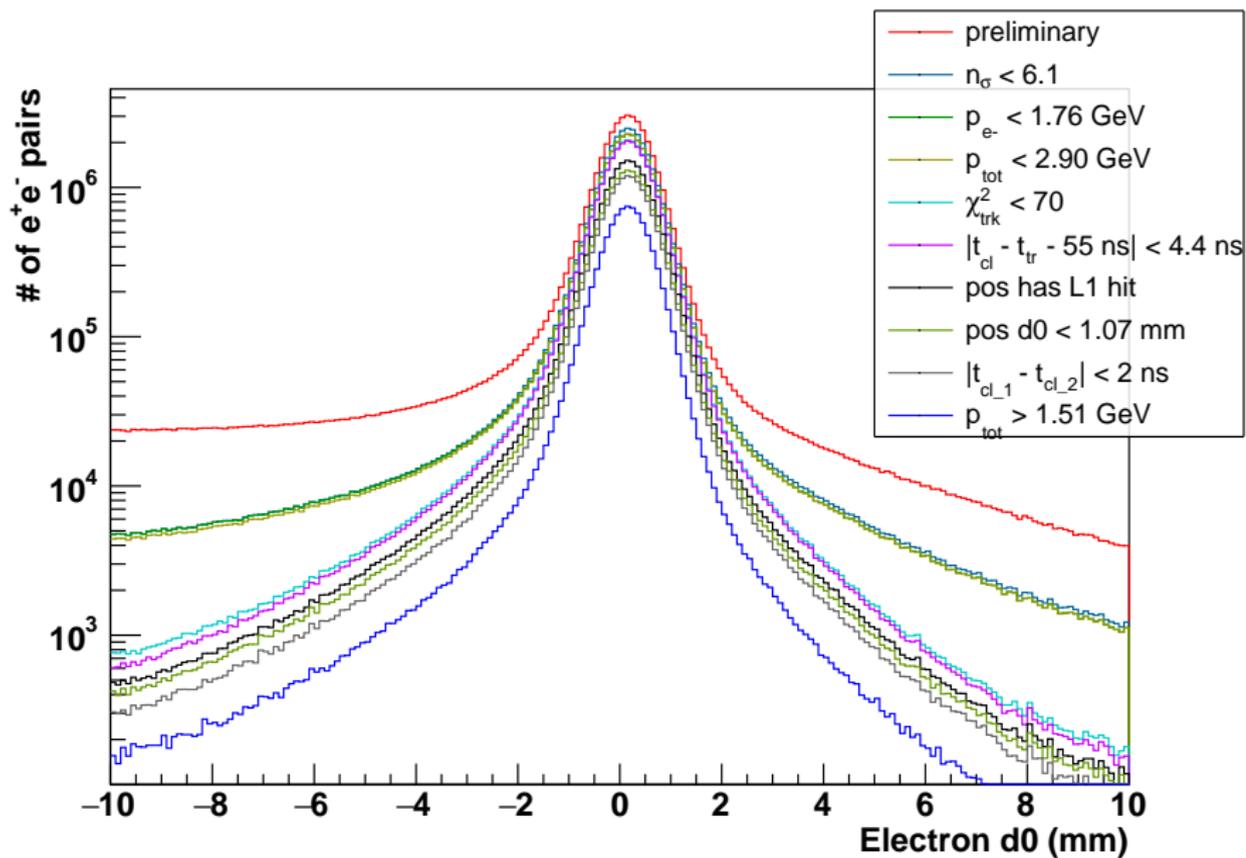
# Cutflows: Track $\chi^2$



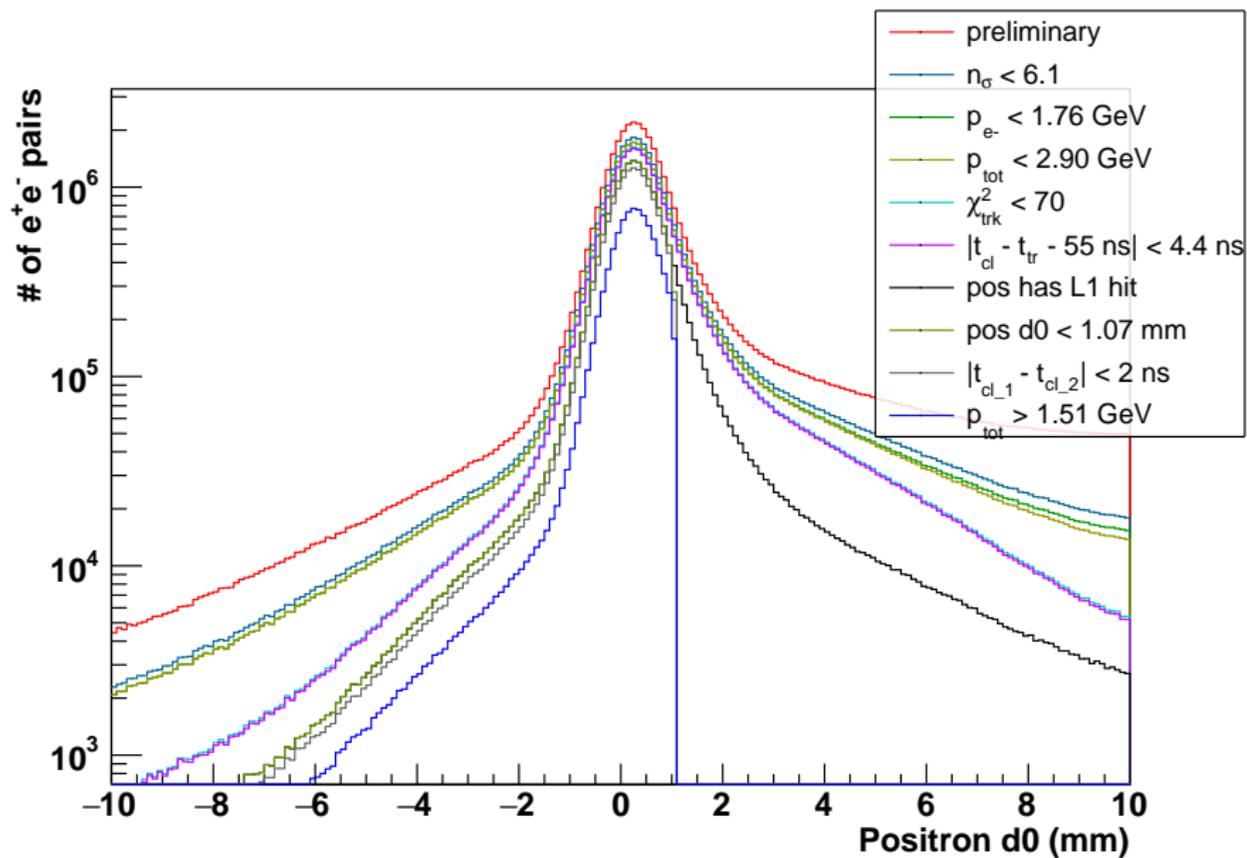
# Cutflows: Target Constrained Vertex $\chi^2$



# Cutflows: Electron d0

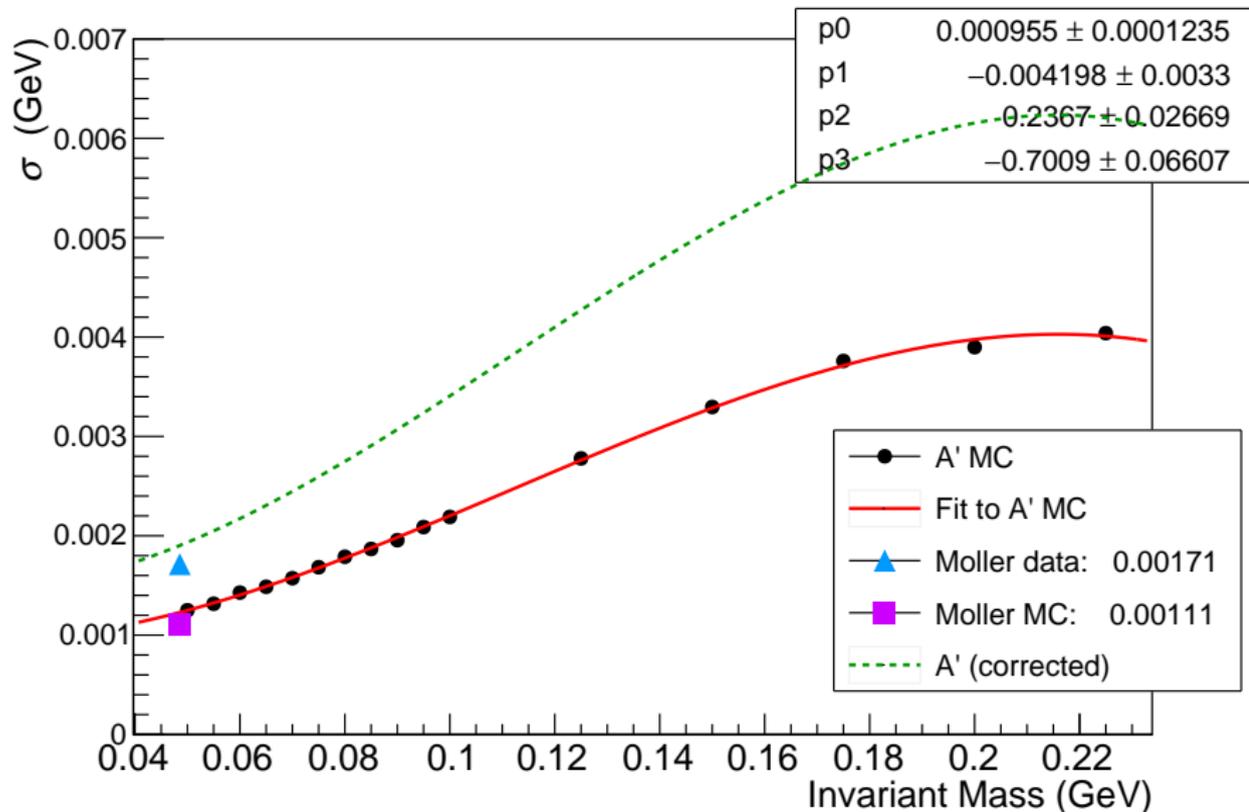


# Cutflows: Positron d0

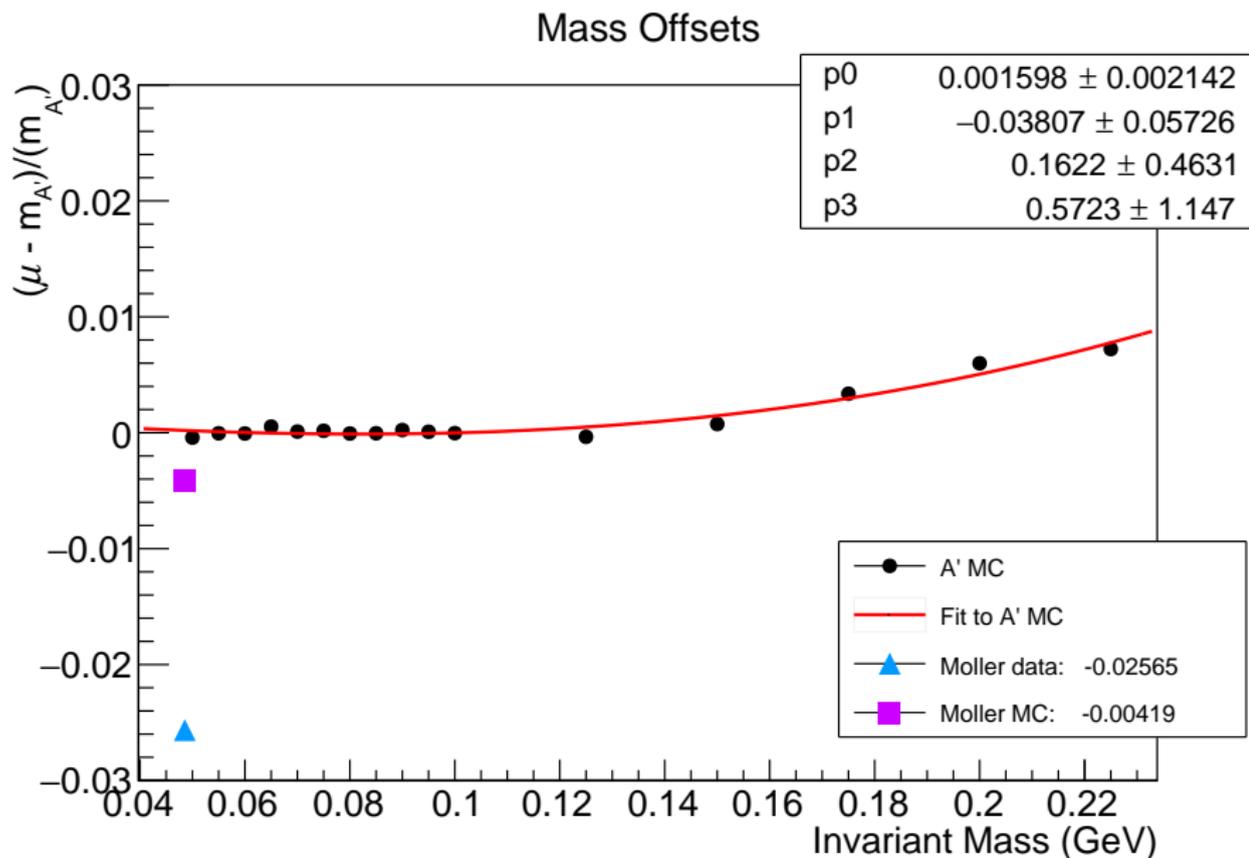


# Signal Shape: Sigma

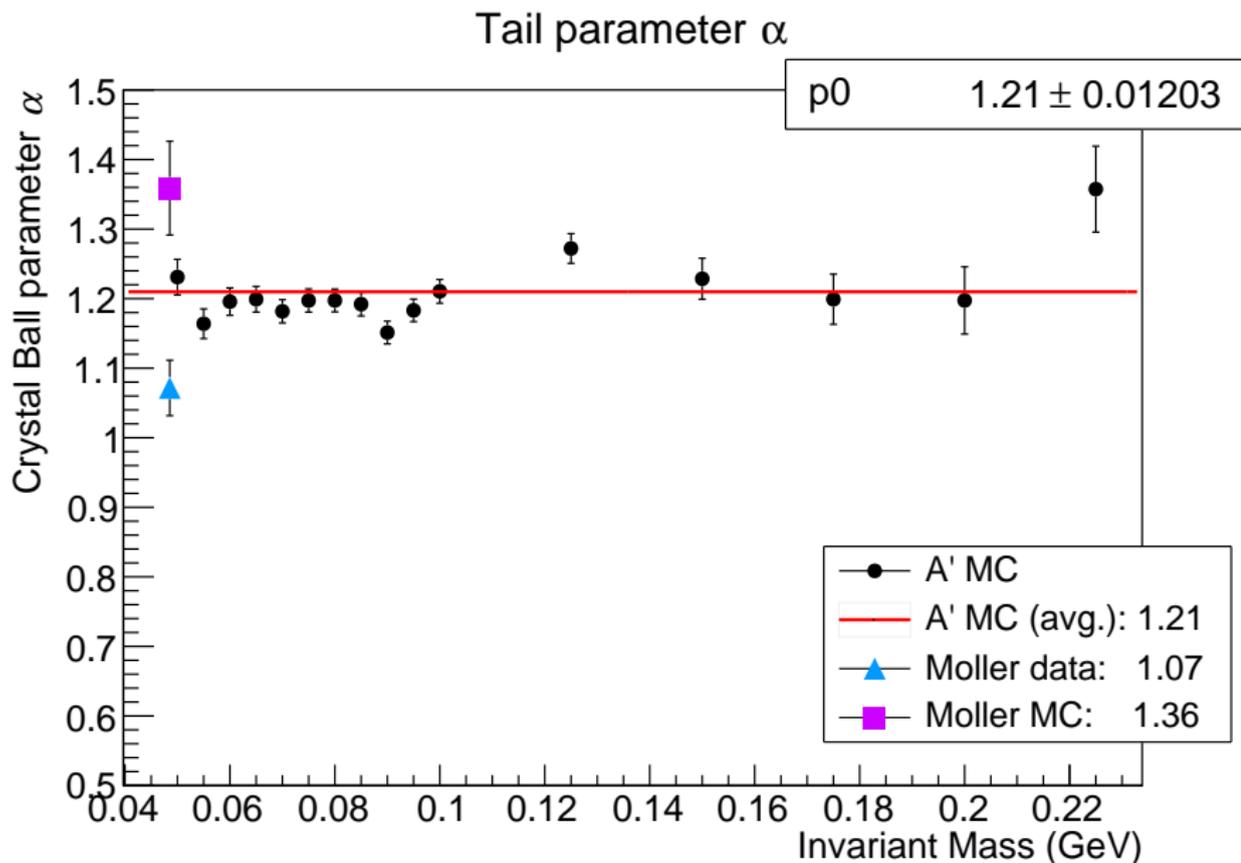
## Mass Resolutions



# Signal Shape: Mass Offset



# Signal Shape: Crystal Ball Parameter $\alpha$



# Signal Shape: Crystal Ball Parameter $n$

