Update on E1-f SIDIS Analysis for Azimuthal Modulations*

Nathan Harrison UNG

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* Based on PhD thesis work at UConn

Outline

- Physics
 - SIDIS
 - TMDs & FFs
- Experiment
 - CLAS E1-f data set
- Analysis
 - event selection and binning for $ep \to e\pi^{\pm}X$
 - acceptance studies (Monte Carlo)
 - radiative corrections
 - systematic error studies
- Results
- Summary & conclusions

SIDIS kinematics

Goal: Study the transverse motion of quarks inside of the proton via semi-inclusive deep inelastic scattering (SIDIS):

 $l(k) + N(P) \rightarrow l'(k') + h(P_h) + X(P_X)$



SIDIS cross-section



- Motion of quarks inside of the proton is described by TMDs.

- The process of the struck quark forming into a hadron ("hadronization") is described by fragmentation functions (FFs).

Assuming single photon exchange, the leptoproduction cross-section can be written as:

$$\frac{d^6\sigma}{dx \ dQ^2 \ d\psi \ dz \ d\phi_h \ dP_{h\perp}^2} = \frac{1}{2E_b M x} \frac{\alpha^2 y}{8zQ^4} 2M W^{\mu\nu} L_{\mu\nu}$$

 $L_{\mu\nu}$ is the leptonic tensor.

 $W^{\mu
u}$ is the hadronic tensor.

SIDIS cross-section

Expanding the contraction and integrating over ψ and the beam polarization, the cross-section for an unpolarized target can be written as

$$\frac{d^{5}\sigma}{dx \ dQ^{2} \ dz \ d\phi_{h} \ dP_{h\perp}^{2}} = \frac{2\pi\alpha^{2}}{xyQ^{2}} \frac{y^{2}}{2(1-\epsilon)} \left(1 + \frac{\gamma^{2}}{2x}\right) (F_{UU,T} + \epsilon F_{UU,L}) \left\{1 + \frac{\sqrt{2\epsilon(1+\epsilon)}F_{UU}^{\cos\phi_{h}}}{(F_{UU,T} + \epsilon F_{UU,L})}\cos\phi_{h} + \frac{\epsilon F_{UU}^{\cos 2\phi_{h}}}{(F_{UU,T} + \epsilon F_{UU,L})}\cos 2\phi_{h}\right\}$$

According the the factorization theorem, structure functions can, in the Bjorken limit, be written as convolutions of TMDs and FFs:

$$F = \sum \text{TMD} \otimes \text{FF}$$

Bjorken Limit:

$$\begin{array}{c} Q^2 \rightarrow \infty \\ 2P \cdot q \rightarrow \infty \\ P \cdot P_h \rightarrow \infty \\ x = Q^2/2P \cdot q \\ z = P \cdot P_h/P \cdot q \end{array}$$

CLAS E1-f Data Set

- 5.498 GeV electron beam with ~75% polarization (averaged over for this analysis)
- Unpolarized liquid hydrogen target
- About 2 billion events
- Torus at 60% to improve π acceptance
- Broad and comparable kinematic coverage for both charged pion channels:
 - $ep \to e\pi^{\pm}X$
- Kinematic coverage ranges:
 - $x \approx 0.1 0.6$
 - $Q^2 \approx 1 5 \text{ GeV}^2$
 - P_{hT} ≈ 0 1.5 GeV
 - $z \approx 0.0 0.9$ (region of interest 0.4 < z < 0.7)

 $-\phi_{\rm h} = -180^{\circ} - 180^{\circ}$



Electron ID



(sector 1)

pion identification



- 70 vertical slices fit with a gaussian
- 3σ cut at low momenta
- Cut tapers in at high momenta

(sector 1)

SIDIS Cuts and Binning



The DIS region is defined as $Q^2 > 1.0 \text{ GeV}^2$ and W > 2.05 GeV.



SIDIS Cuts and Binning



SIDIS Cuts and Binning



https://userweb.jlab.org/~nathanh/pip_5DaccPlot_scanPhih.gif https://userweb.jlab.org/~nathanh/pim_5DaccPlot_scanPhih.gif

Simulation

- 1B SIDIS events are generated with a PYTHIA based event generator.

- 3 different models were used to study model dependence.

- Generated events are put into a GEANT based Monte Carlo simulation of the CLAS detector (GSim).

- Smearing and inefficiencies are introduced to the simulation to make it more realistic.

- The simulated data is then "cooked", processed, and analyzed in the same way as the E1-f data set.



Above: Five generated events being reconstructed by GSim. Charged tracks are shown in red, neutral tracks in gray.

Monte Carlo ϕ generated, reconstructed, and acceptance for π + (lowest x-Q² bin)



Radiative Corrections

- Radiative effects, such as the emission of a photon by the incoming or outgoing electron, can change all five SIDIS kinematic variables.

- Furthermore, exclusive events can enter into the SIDIS sample because of radiative effects ("exclusive tail").

- HAPRAD 2.0 is used to do radiative corrections.

- For a given $\sigma_{Born}(x, Q^2, z, P_{h\perp}^2, \phi_h)$ (obtained from a model), HAPRAD calculates $\sigma_{rad+tail}(x, Q^2, z, P_{h\perp}^2, \phi_h)$. The correction factor is then:

$$RC \ factor = \frac{\sigma_{rad+tail}\left(x, Q^2, z, P_{h\perp}^2, \phi_h\right)}{\sigma_{Born}\left(x, Q^2, z, P_{h\perp}^2, \phi_h\right)}$$

- 3 different models were used to study model dependence.



Born, radiated, and exclusive tail cross-sections from HAPRAD (lowest x-Q² bin)



Label	Source	# variations	Description
0	e- zvertex cut	2	+/- 0.2 cm
1	e- EC sampling cut	2	See figure
2	e- EC outer vs inner cut	2	+/- 0.005 GeV
3	e- EC geometric cut	2	See figure
4	e- CC θ matching cut	2	See figure
5	e- region 1 fiducial cut	2	See figure
6	e- region 3 fiducial cut	2	See figure
7	e- CC fiducial cut	2	See figure
8	Pion β cut	2	+/- 0.25σ
9	Pion region 1 fiducial cut	2	See figure
10	ϕ_h fiducial cut	2	+/- 10°
11	Acc. model dependence	1	2 nd to last iteration is used
12	Rad. cor. model dependence	1	2 nd to last iteration is used
13	Sector dependence	6	1 result from each sector





Figure 10.1: Measurements of A_0 (left), $A^{\cos\phi}$ (middle), and $A^{\cos 2\phi}$ (right) for a representitive bin as a function of the electron sector for $\pi +$ (red circles) and $\pi -$ (blue triangles). This kinematic bin is the high Q^2 bin of 0.2 < x < 0.3, 0.3 < z < 0.35, and $0.4 < P_{h\perp}^2 < 0.45 \ GeV^2$.

$$\sigma^2 = \sigma_{stat}^2 + \sigma_{sys}^2$$



Figure 10.6: Systematic errors on A_0 (left), $A_{UU}^{\cos \phi_h}$ (middle), and $A_{UU}^{\cos 2\phi_h}$ (right) for each source for a representitive bin for the π + channel. The first 13 sources are summarized in table 10.1, the 14th source is sector dependence. This kinematic bin is the high Q^2 bin of 0.2 < x < 0.3, 0.35 < z < 0.4, and $0.35 < P_{h\perp}^2 < 0.4$ GeV^2 .

 ϕ_h distributions - raw data (lowest x-Q² bin)



ϕ_h distributions – acceptance and radiative corrected with fit results (lowest x-Q² bin)





(high Q^2 bin of 0.2 < x < 0.3)

Comparison with Other CLAS Data



 $(0.25 < x < 0.28, 1.9 < Q^2 < 2.2 \text{ GeV}^2)$

Summary and Conclusions

- The constant term, $\cos \phi_h$ moment, and $\cos 2\phi_h$ moment of the unpolarized SIDIS crosssection have been measured for both charged pion channels in a fully differential way with good statistics and well controlled systematics over a wide kinematic range.

- The $\cos \phi_h$ and $\cos 2\phi_h$ modulations show a dependence on flavor which hints at a non-zero Boer-Mulders effect and could give insights into the quark orbital angular momentum contribution of the proton spin. Theoretical comparisons are in progress.

- Systematic errors have been studied and are comparable in size to statistical errors.
- Analysis note was recently approved by committee.
- A paper summarizing these results will be submitted soon to PRL.