

Bump Hunt on 2016 Data

Sebouh Paul

College of William and Mary

HPS Collaboration Meeting
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Outline

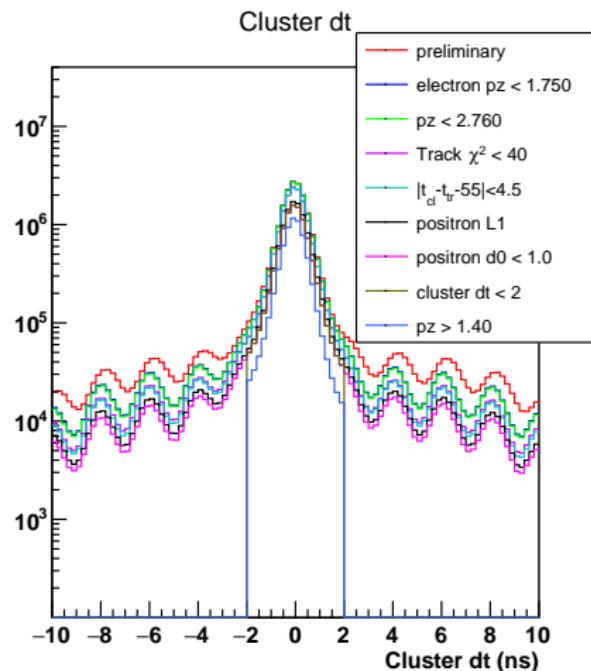
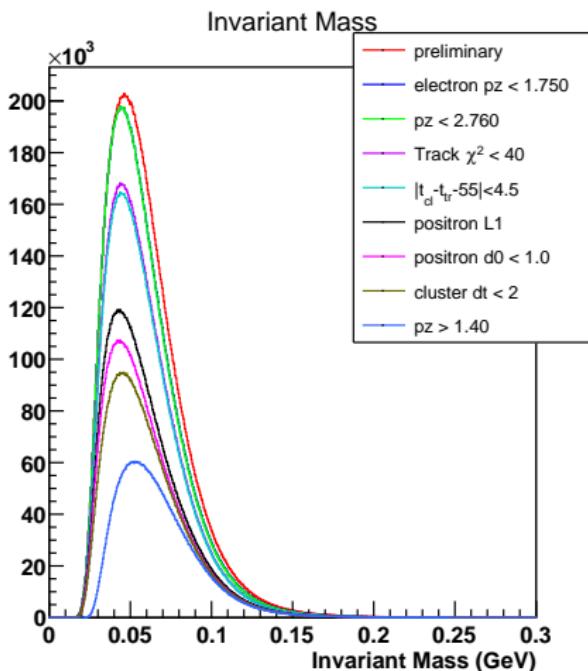
- ▶ Trident selection
 - ▶ Effects of cuts on dataset
 - ▶ Comparison with 2015 dataset
- ▶ Mass resolutions:
 - ▶ A' MC.
 - ▶ Mollers from data, MC
- ▶ Radiative fraction
- ▶ Bump hunting
 - ▶ Background models
 - ▶ Most significant “bump” found
 - ▶ Signal yields
 - ▶ Upper limits on coupling
 - ▶ Blinded
 - ▶ Unblinded (projection)
- ▶ Homework

Trident Event Selection Criteria

- ▶ Preliminary cuts
 - ▶ GBL Tracks
 - ▶ If > 3 shared hits, use the track with the best fit χ^2 .
 - ▶ Track-cluster match $\chi^2 < 10$
 - ▶ Clusters on opposite sides of Ecal.
 - ▶ Pair1 trigger
- ▶ Accidental background reduction
 - ▶ FEEs: $p_{e^-} < 1.75$ GeV. ($\approx 75\% E_{beam}$)
 - ▶ $p_{sum} < 2.76$ GeV. ($\approx 1.2 E_{beam}$)
 - ▶ Track fit $\chi^2 < 40$
 - ▶ $|t_{cluster} - t_{track} - 55 \text{ ns}| < 4.5 \text{ ns}$.
- ▶ WAB reduction cuts
 - ▶ Positron track has a hit in L1.
 - ▶ Positron $d_0 < 1.1$ mm
- ▶ Cluster time difference < 2 ns.
- ▶ Radiative cut: $p_{sum} > 1.4$ GeV ($\approx 61\% E_{beam}$)

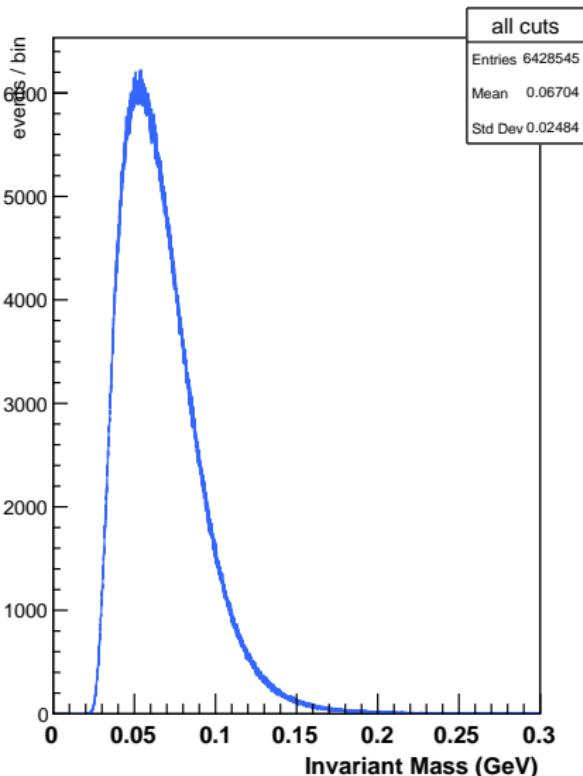
*(most of these cuts are based on Omar's trident event selection for 1.05 GeV, scaled up for 2.3 GeV)

Effects of the cuts on the Data

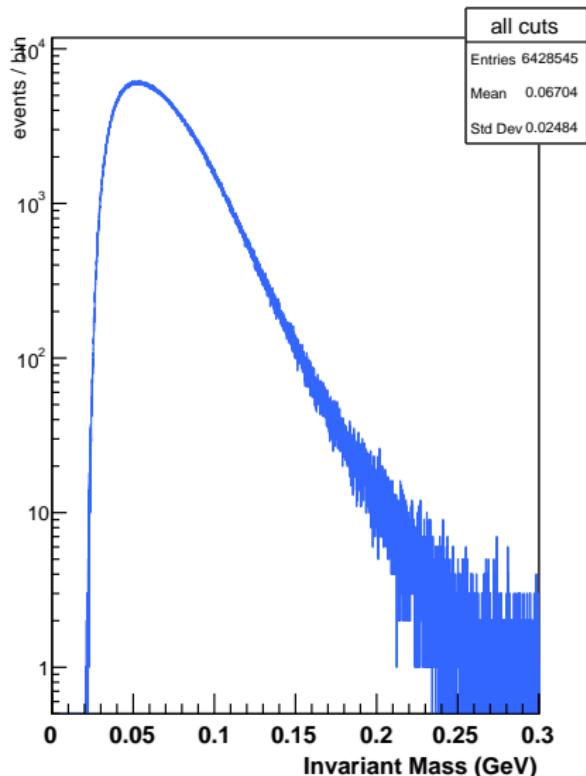


Invariant Mass Spectrum of Selected Events

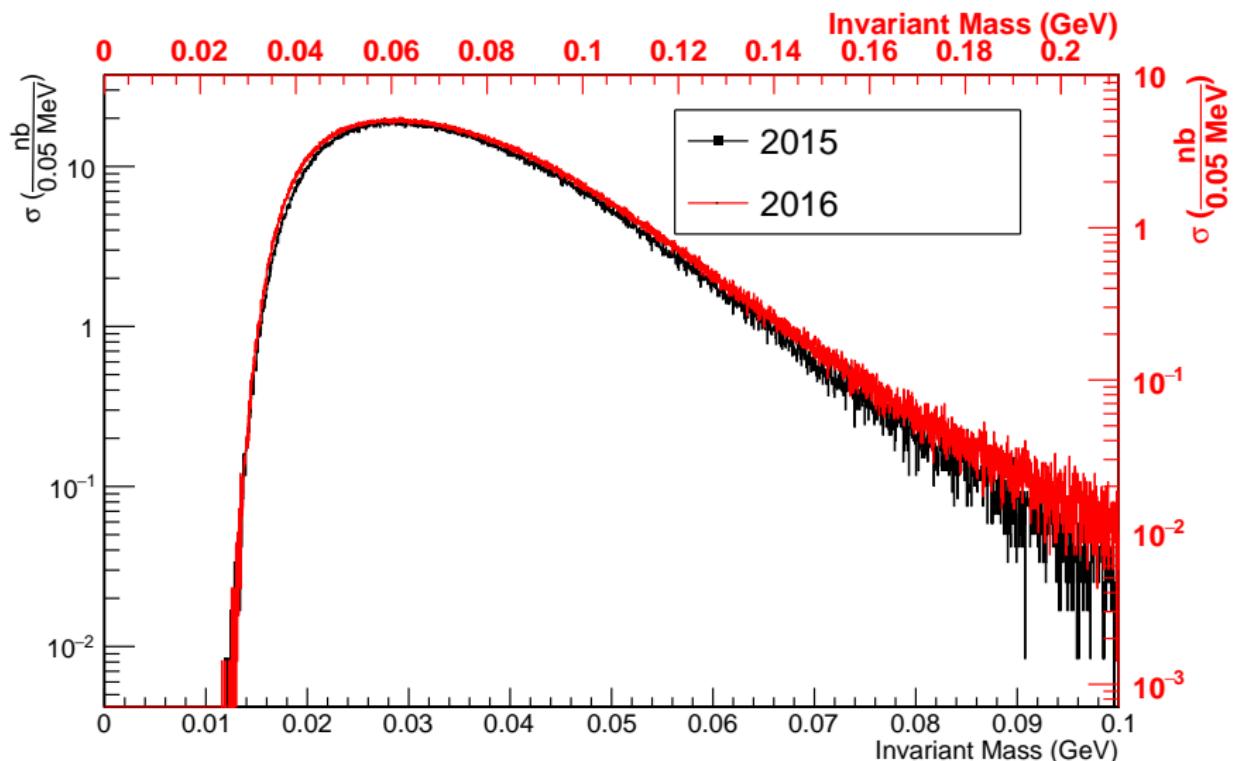
All cuts (linear scale)



All cuts (log scale)



Comparison between 2015 and 2016 datasets



Calculating Mass Resolution

Tridents / A' 's

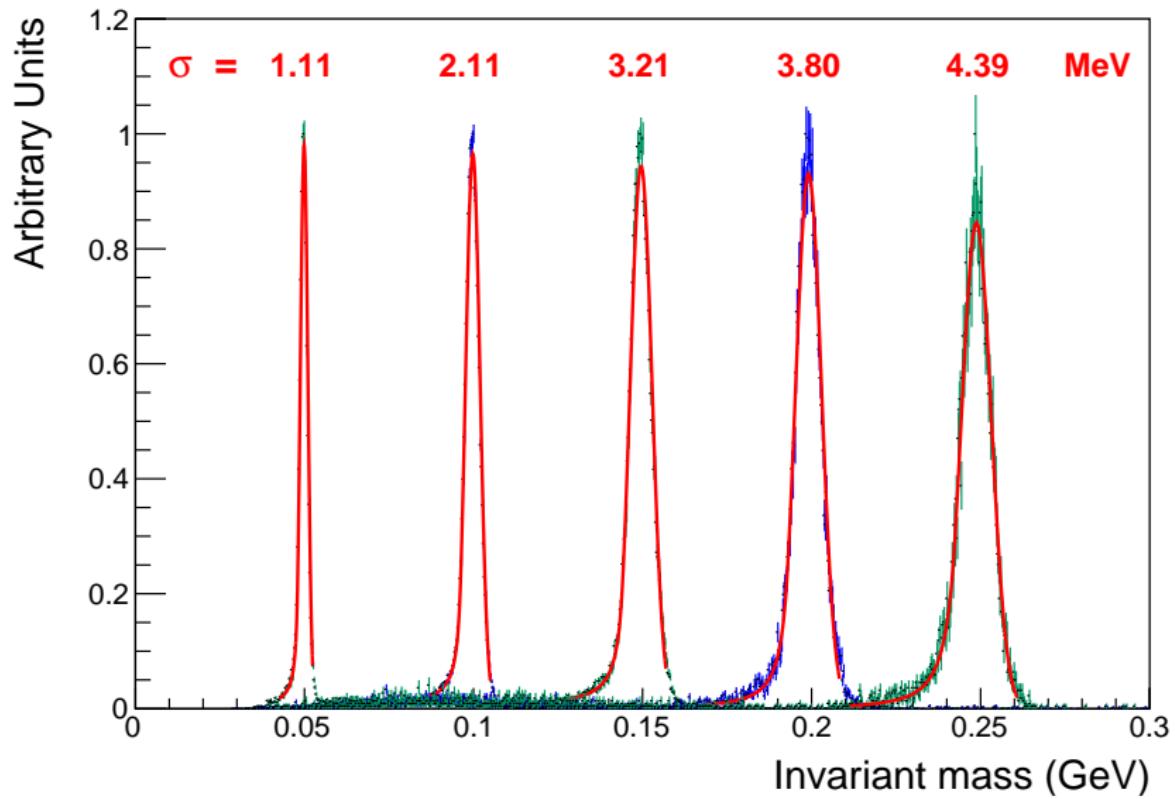
- ▶ Generated O(10k) A' events in MC with $m_{A'}$ at (50, 100, 150, 200, 250) MeV.
- ▶ Applied similar cuts to MC as were applied to data
- ▶ Fit each spectrum to crystal ball function
- ▶ mass resolutions fit to 3rd order poly of mass

Mollers (for corroboration):

- ▶ Data from upass0 single0 skim.
- ▶ Monte-Carlo events generated with s0 trigger.
- ▶ Cuts are mostly from SVT (two slides from now)
- ▶ Out-of-time background ($\Delta t_{\text{track}} > 4 \text{ ns}$) subtracted from signal.
- ▶ fit moller candidates to a signal gaussian plus a wider background gaussian.

Mass Resolution: A' Monte Carlo

MC A' Mass Resolutions

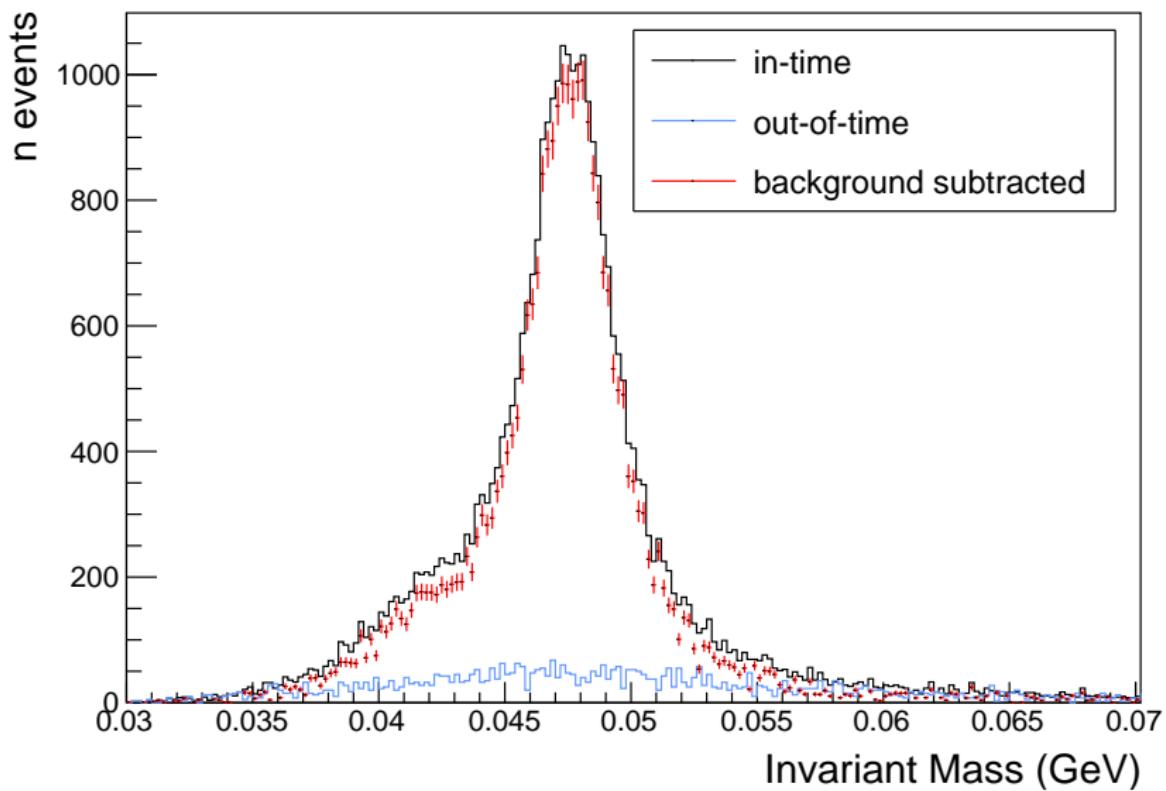


Moller Cuts

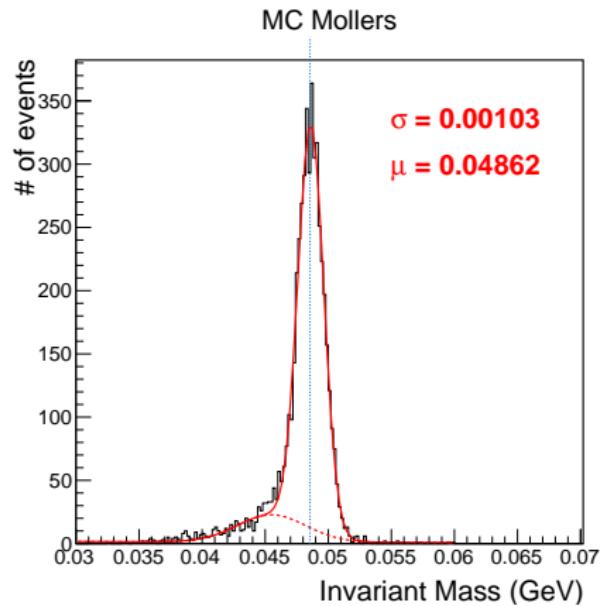
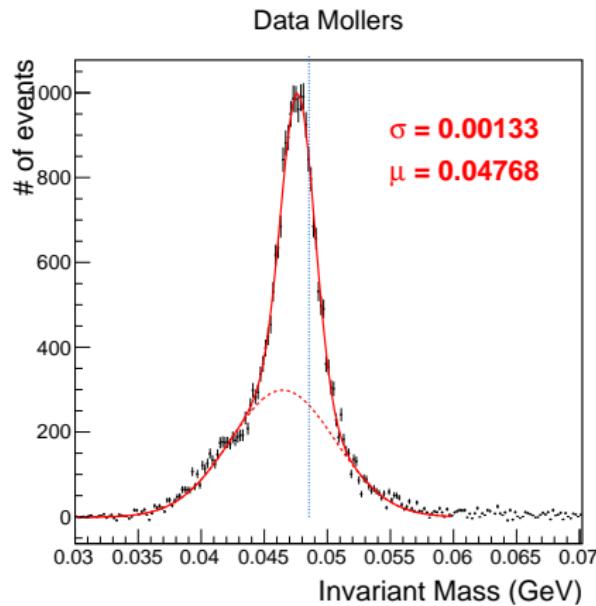
- ▶ single0 trigger
- ▶ both track fit $\chi^2/\text{d.o.f.} < 5$
- ▶ both tracks $|d_0| < 1.5 \text{ mm}$
- ▶ both tracks $p < 1.75 \text{ GeV}$
- ▶ track time difference $< 2 \text{ ns}$ ($\approx 2\sigma_{t\text{-track}}$)
- ▶ p_{sum} between 1.75 GeV and 2.6 GeV
- ▶ only one cluster:
 - ▶ $x_{\text{cluster}} < -80 \text{ mm}$
- ▶ no positrons

Out-of-time Moller background subtraction

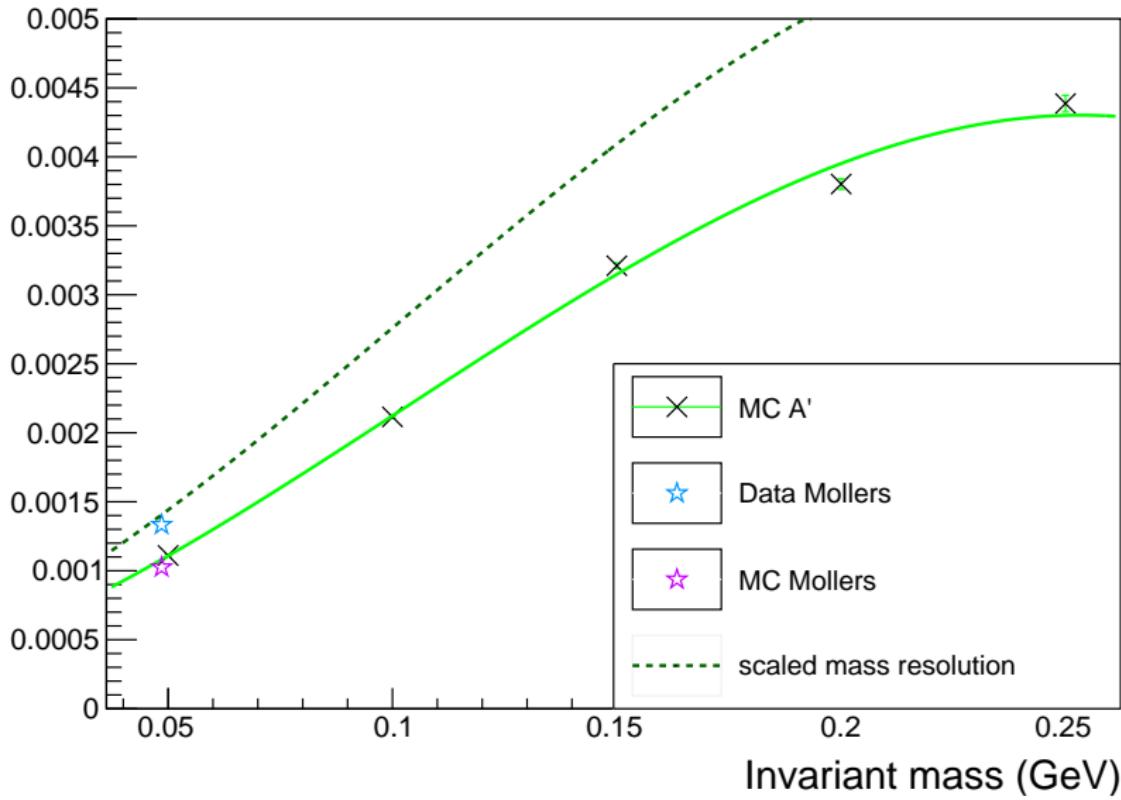
Out-of time Subtraction for Mollers



Mass Resolution: Mollers



Mass Resolution



Radiative Fraction

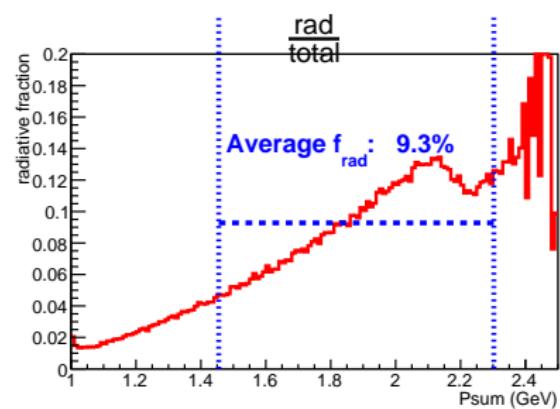
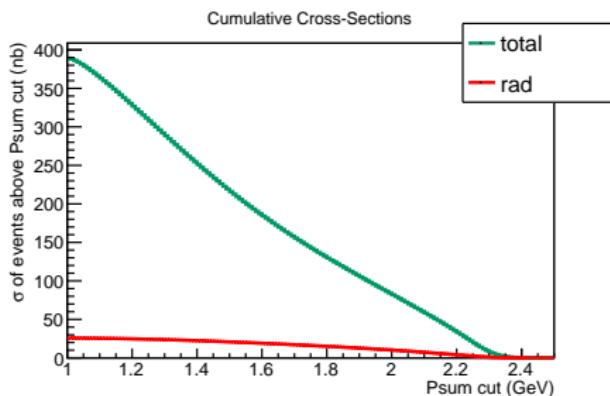
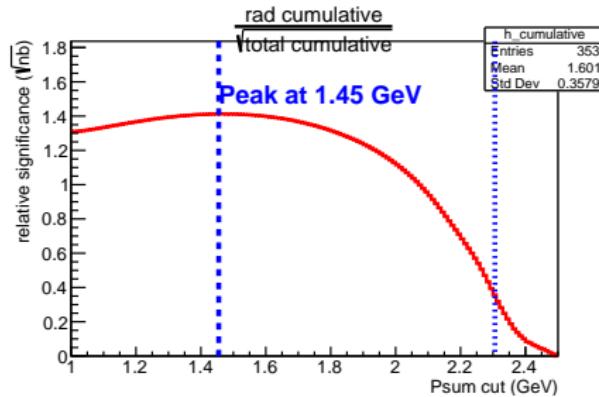
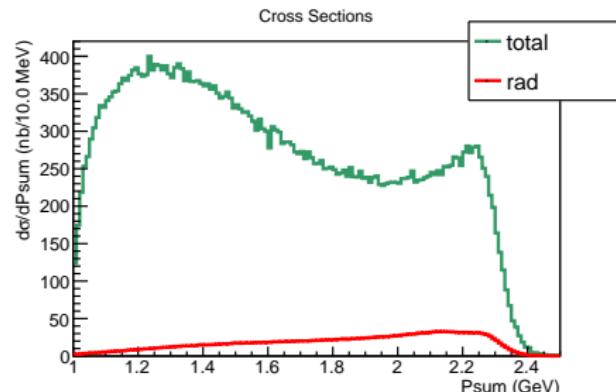
Purpose

- ▶ A' cross-section is proportional to radiative cross section
- ▶ Necessary for calculating upper limit on A' coupling ϵ^2

Procedure

- ▶ Monte-Carlo:
 - ▶ tri-trig (total) and RAD (radiative)
 - ▶ Both from MadGraph 5.
 - ▶ Applied similar kinematic cuts to those used on data
- ▶ Found lower cut on p_{sum} such that $\frac{\sigma_{\text{rad}}}{\sqrt{\sigma_{\text{total}}}}$ is maximized for events above the cuts.
- ▶ Calculated ratio of cross sections $\frac{\sigma_{\text{rad}}}{\sigma_{\text{total}}}$ for events passing the cut.

Radiative Fraction



Background Models and Fitting Parameters

I am currently testing 3 types of background models. (x = mass of A')

Name	Formula	Parameters
poly	$\sum_{i=0}^n a_i x^i$	$a_0 \dots a_n$
exp (poly)	$\exp \left[\sum_{i=0}^N a_i x^i \right]$	$a_0 \dots a_n$
exp \times poly	$e^{-kx} \left[\sum_{i=0}^N a_i x^i \right]$	$k, a_0 \dots a_n$

Also varying window-size to mass-resolution ratio f , and polynomial orders n .

Background Models

Several pieces of information will go into my decision of which model/window-size to use:

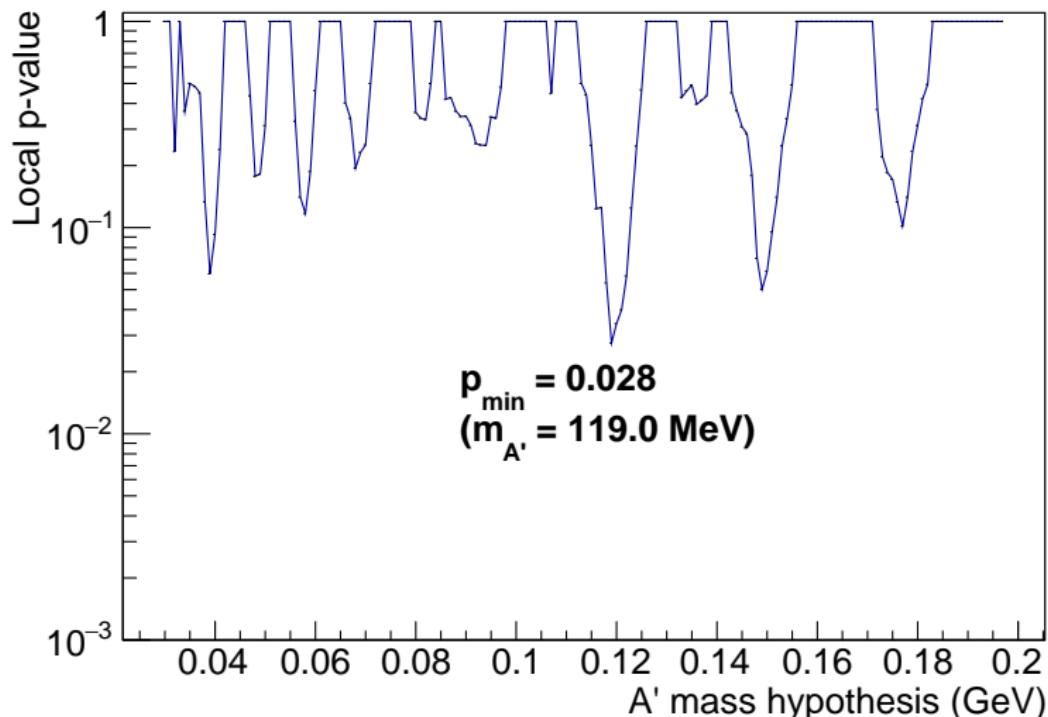
- ▶ pull := $\frac{(\text{mean yield}) - (\text{injected signal})}{(\sigma \text{ yield})}$ for toy signals
- ▶ p -value calculated for data fits
- ▶ minimize median upper limit for toy distributions (while keeping all other things reasonable)

*For the slides in this presentation I use:

- ▶ model: poly
- ▶ order: $n = 5$
- ▶ window size = $19\sigma_M$

* This is NOT a finalized decision.

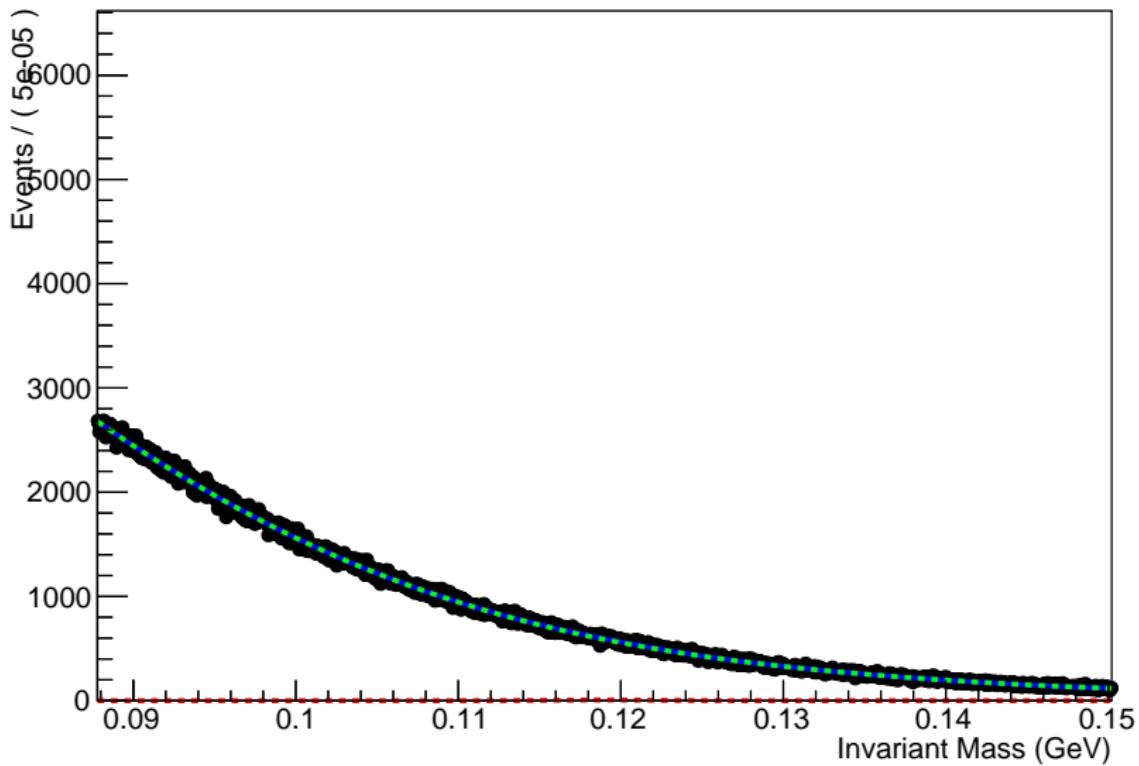
P-values



*Look Elsewhere Effect not accounted for yet (wait for it...).

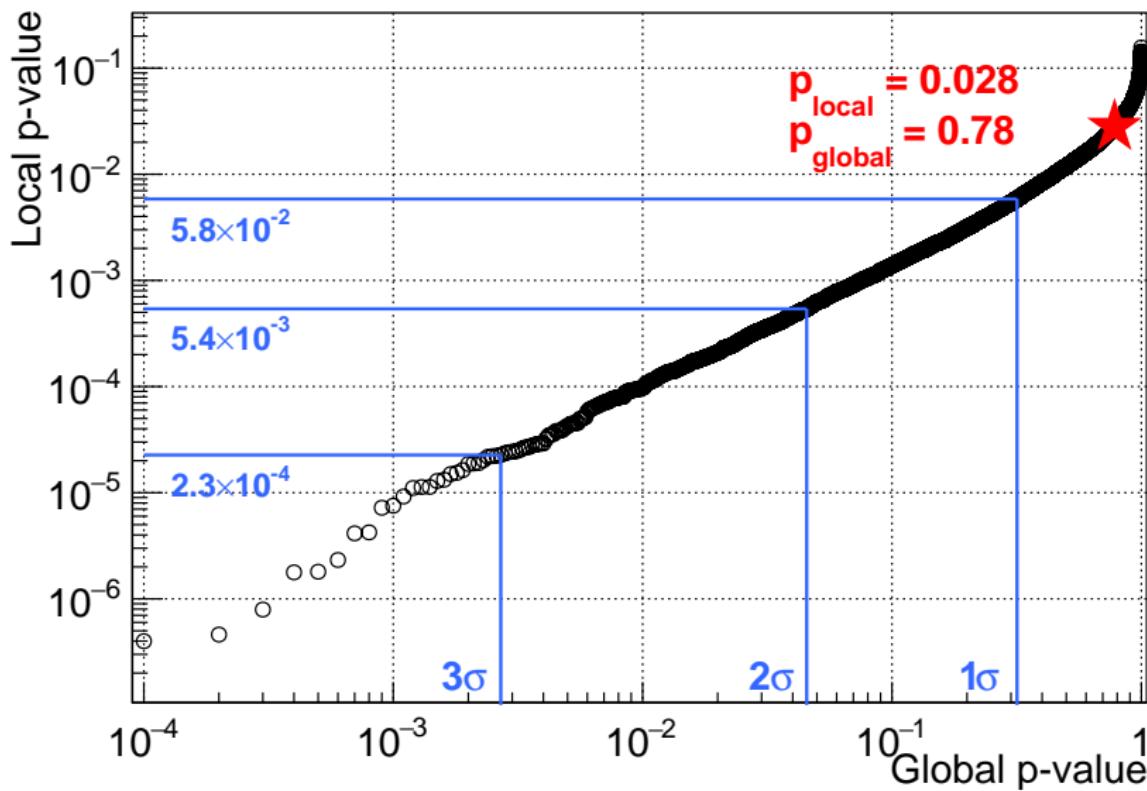
Most significant bump (.119 GeV)

A RooPlot of "Invariant Mass (GeV)"



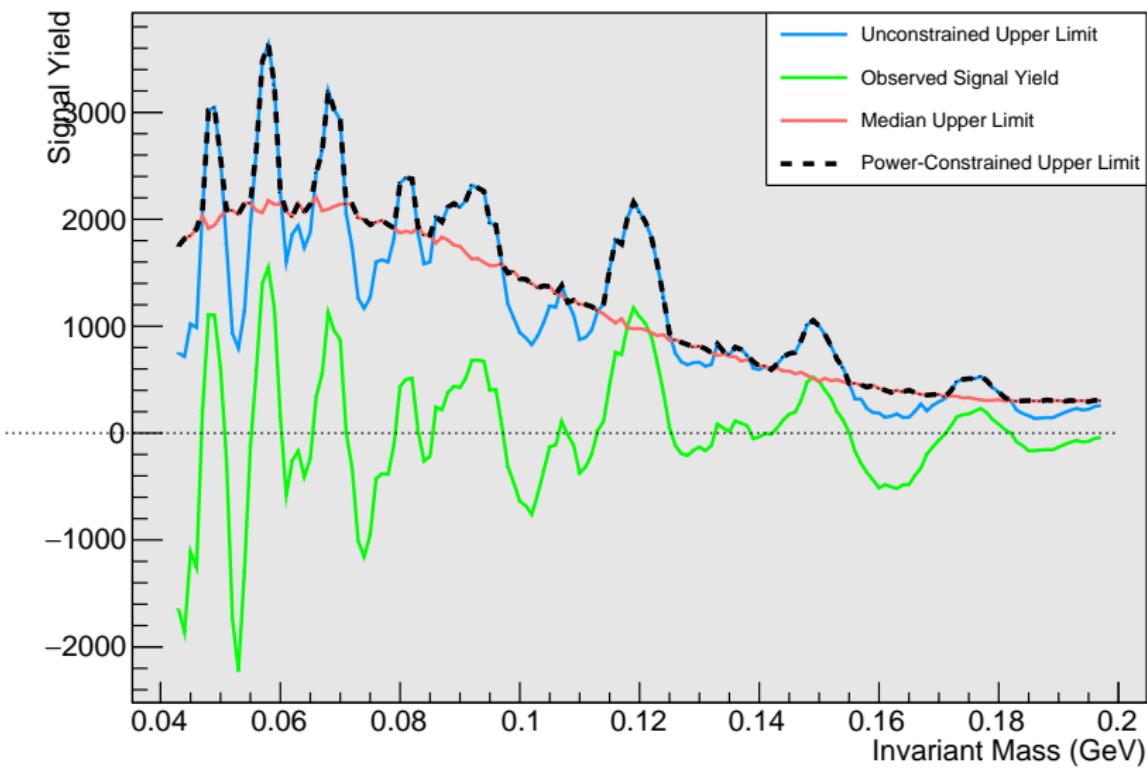
Look Elsewhere Effect

Global vs. Local p-values



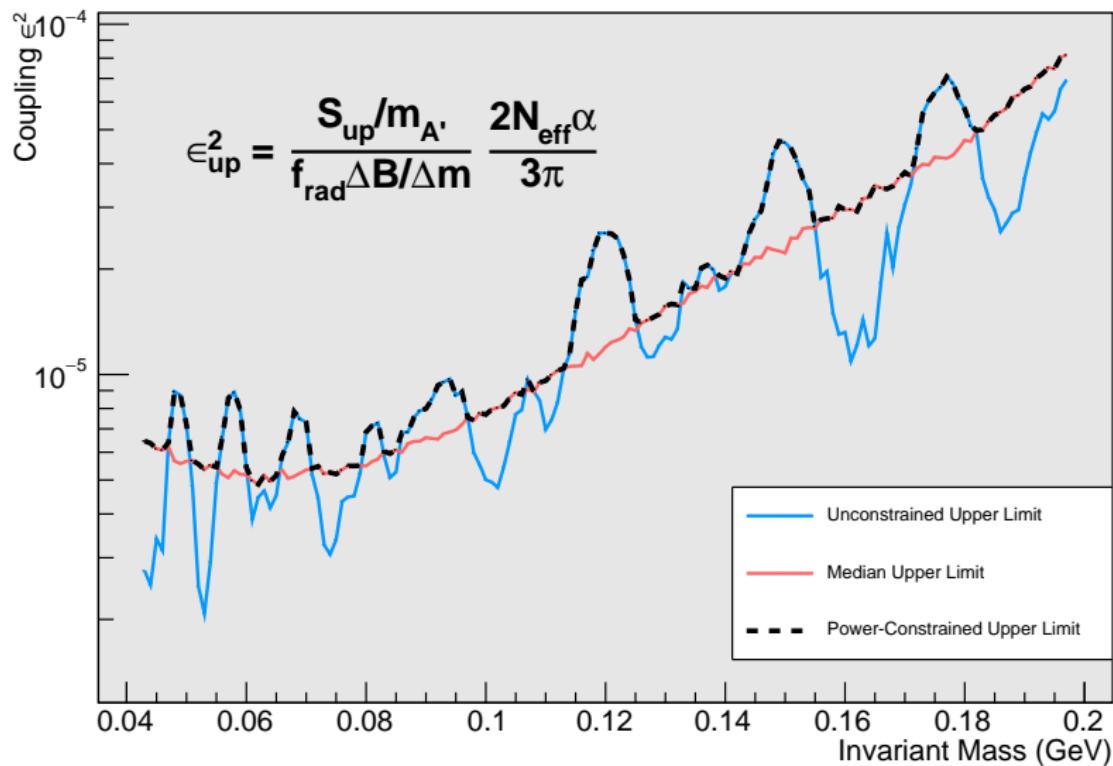
Signal Yields (using 10% of dataset)

Signal Yield

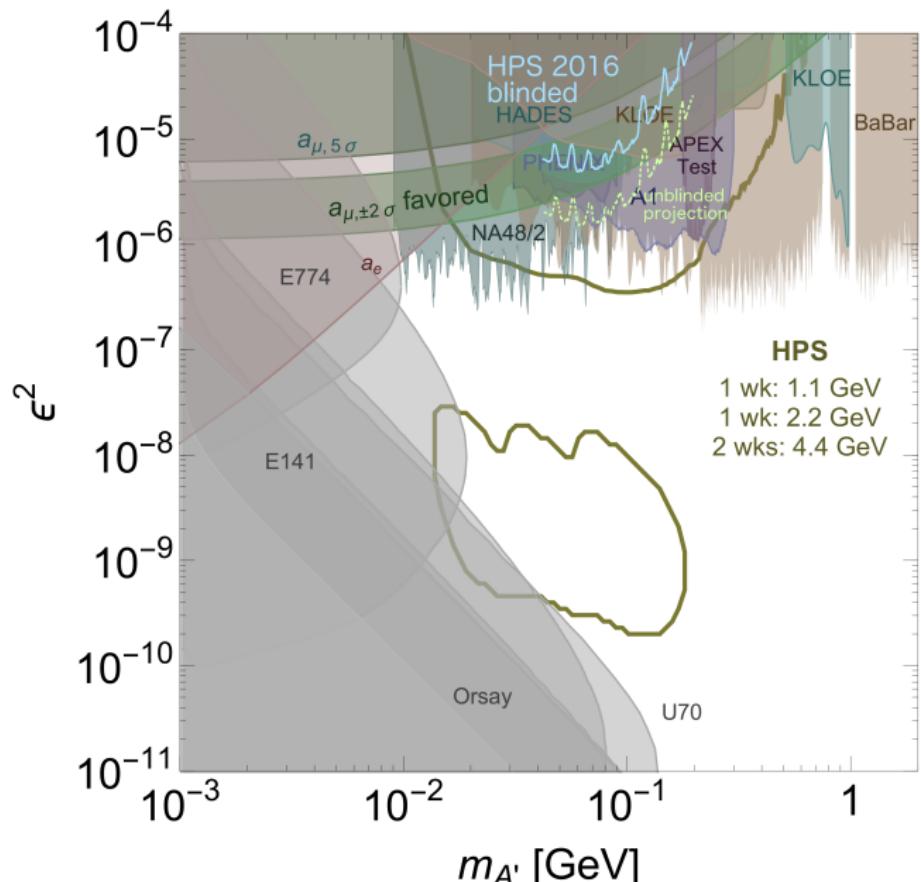


Upper limit on coupling (blinded dataset)

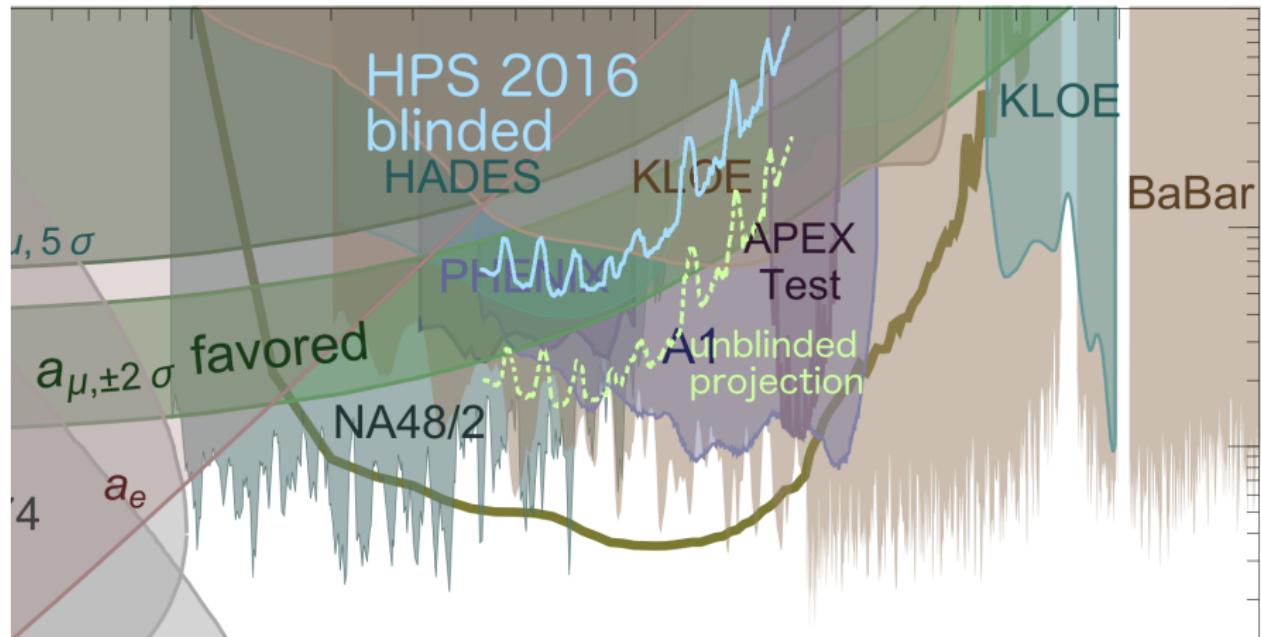
Upper Limits on Coupling



Projected Upper Limit on Coupling (full dataset)



Projected Upper Limit on Coupling (full dataset)



Homework:

- ▶ Figure out why the discrepancy in moller resolutions between data and monte-carlo is so large:
 - ▶ Alignment problems in data?
 - ▶ underestimation of multiple scattering in Monte-Carlo?
- ▶ Improve efficiency:
 - ▶ L1 efficiency for e^- in data is $\approx 84\%$
 - ▶ Is problem from track fitting or SVT pulse fitting?
- ▶ Improvements on fitting invariant mass spectrum:
 - ▶ Does $\exp \times \text{poly}$ perform better than poly?
 - ▶ Which order polynomial?
 - ▶ Window size?
- ▶ After pass1, ask ourselves: are we ready to unblind yet? if yes...
 - ▶ We unblind
 - ▶ We publish
 - ▶ I graduate.