# Polarization Observables using Positron Beams

#### Axel Schmidt

MIT

#### JPos17, September 12, 2017



There is a large discrepancy in proton form factor data.



#### Two-photon exchange might be the cause.



 $G_{E}(Q^{2}), G_{M}(Q^{2}) \longrightarrow G_{E}(Q^{2}), G_{M}(Q^{2}),$  $\delta \tilde{G}_{E}(Q^{2}, \epsilon), \delta \tilde{G}_{M}(Q^{2}, \epsilon), \tilde{F}_{3}(Q^{2}, \epsilon), \tilde{F}_{4}(Q^{2}, \epsilon), \tilde{F}_{5}(Q^{2}, \epsilon), \tilde{F}_{6}(Q^{2}, \epsilon)$ 

#### Two-photon exchange might be the cause.



 $G_E(Q^2), G_M(Q^2) \longrightarrow G_E(Q^2), G_M(Q^2),$  $\delta \tilde{G}_E(Q^2, \epsilon), \delta \tilde{G}_M(Q^2, \epsilon), \tilde{F}_3(Q^2, \epsilon)$ 

# Two-photon exchange might be the cause.



$$G_{E}(Q^{2}), G_{M}(Q^{2}) \longrightarrow G_{E}(Q^{2}), G_{M}(Q^{2}),$$
  

$$\delta \tilde{G}_{E}(Q^{2}, \epsilon), \delta \tilde{G}_{M}(Q^{2}, \epsilon), \tilde{F}_{3}(Q^{2}, \epsilon)$$
  

$$\frac{\sigma_{e^{+}p}}{\sigma_{e^{-}p}} = 1 - 4 G_{M} \operatorname{Re}\left(\delta \tilde{G}_{M} + \frac{\epsilon \nu}{M^{2}} \tilde{F}_{3}\right) - \frac{4\epsilon}{\tau} G_{E} \operatorname{Re}\left(\delta \tilde{G}_{E} + \frac{\nu}{M^{2}} \tilde{F}_{3}\right) + \mathcal{O}(\alpha^{4})$$

# Recent $\sigma_{e^+p}/\sigma_{e^-p}$ measurements were not a slam dunk.



Afanasev, Blunden, Hasell, and Raue, Prog. Nucl. Part. Phys. (2017)

The experimental goal should be to validate theory from multiple angles.

- A precise experimental determination of TPE will be a challenge.
- We need to validate theories that allow interpolation/extrapolation.
- Constraints should come from multiple channels.

# Constraining TPE using Polarization

1 Polarization transfer with  $e^+$ 

- Systematically clean
- Statistics prohibitive
- 2 Beam-normal single-spin asymmetry
  - Really statistics prohibitive
- 3 Target-normal single-spin asymmetry
  - Feasible

Polarization transfer is a better way to measure the proton form factor ratio.

- Measurements are performed at one kinematic setting.
- Radiative corrections are small.
- Measure a ratio rather than a cross section.

# What polarization is transferred to the proton?



$$P_t = -hP_e \sqrt{\frac{2\epsilon(1-\epsilon)}{\tau}} \frac{G_E G_M}{G_M^2 + \frac{\epsilon}{\tau} G_E^2}$$
$$P_l = hP_e \sqrt{1-\epsilon^2} \frac{G_M^2}{G_M^2 + \frac{\epsilon}{\tau} G_E^2}$$

$$P_t/P_l = \sqrt{\frac{\tau(1+\epsilon)}{2\epsilon}} \frac{G_E}{G_M}$$

# What polarization is transferred to the proton?



$$P_t = -hP_e \sqrt{\frac{2\epsilon(1-\epsilon)}{\tau}} \frac{G_E G_M}{G_M^2 + \frac{\epsilon}{\tau} G_E^2}$$
$$P_l = hP_e \sqrt{1-\epsilon^2} \frac{G_M^2}{G_M^2 + \frac{\epsilon}{\tau} G_E^2}$$

$$P_t/P_l = \sqrt{\frac{\tau(1+\epsilon)}{2\epsilon}} \frac{G_E}{G_M}$$

# Polarization can be measured with a focal plane polarimeter.



# The FPP converts transverse polarization into an azimuthal distribution.











#### Polarization transfer is sensitive to TPE.

$$\frac{P_t}{P_l} = \sqrt{\frac{2\epsilon}{\tau(1+\epsilon)}} \frac{G_E}{G_M} \times [1+\dots]$$

#### Polarization transfer is sensitive to TPE.

$$\frac{P_t}{P_l} = \sqrt{\frac{2\epsilon}{\tau(1+\epsilon)}} \frac{G_E}{G_M} \times [1+\ldots] + \operatorname{Re}\left(\frac{\delta\tilde{G_M}}{G_M}\right) + \frac{1}{G_E} \operatorname{Re}\left(\delta\tilde{G_E} + \frac{\nu}{m^2}\tilde{F}_3\right) - \frac{2}{G_M} \operatorname{Re}\left(\delta\tilde{G_M} + \frac{\epsilon\nu}{(1+\epsilon)m^2}\tilde{F}_3\right) + \mathcal{O}(\alpha^4) + \ldots]$$

#### Polarization transfer is sensitive to TPE.

$$\frac{P_t}{P_I} = \sqrt{\frac{2\epsilon}{\tau(1+\epsilon)}} \frac{G_E}{G_M} \times [1+\ldots] + \operatorname{Re}\left(\frac{\delta\tilde{G}_M}{G_M}\right) + \frac{1}{G_E} \operatorname{Re}\left(\delta\tilde{G}_E + \frac{\nu}{m^2}\tilde{F}_3\right) - \frac{2}{G_M} \operatorname{Re}\left(\delta\tilde{G}_M + \frac{\epsilon\nu}{(1+\epsilon)m^2}\tilde{F}_3\right) + \mathcal{O}(\alpha^4) + \ldots]$$

Different dependence from  $\sigma(e^+p)/\sigma(e^-p)!$ 

# Without TPE, $\frac{G_E}{G_M}$ should be constant with $\epsilon$ .

$$\frac{G_E}{G_M} = \sqrt{\frac{\tau(1+\epsilon)}{2\epsilon}} \frac{P_t}{P_l} \times [1+\ldots?]$$

Any  $\epsilon$  dependence is a signature of TPE.

## The GEp-2 $\gamma$ experiment looked for TPE.

- 40 days, data taken in 2007–08, Hall C
- $Q^2 = 2.5 \text{ GeV}^2/c^2$
- Meziane et al., PRL 106, 132501 (2011)
- A. J. R. Puckett et al., arXiv:1707.08587v1 [nucl-ex] (2017)



## What do positrons get you?

Largest systematics in PT:

- Proton polarimetry
- Spin precession in spectrometer fields
- Alignment of the polarimeter  $(P_l \leftrightarrow P_t)$

## What do positrons get you?

Largest systematics in PT:

- Proton polarimetry
- Spin precession in spectrometer fields
- Alignment of the polarimeter  $(P_l \leftrightarrow P_t)$

By taking the ratio:  $(P_t(e^+)/P_l(e^+))/(P_t(e^-)/P_l(e^-))$ 

- Proton polarimetry offsets cancel.
- Point-to-point biases eliminated
- $\epsilon$ -dependence at fixed  $Q^2$  is a signature.
- Statistics limited measurements!

## What do positrons get you?

Largest systematics in PT:

- Proton polarimetry
- Spin precession in spectrometer fields
- Alignment of the polarimeter  $(P_l \leftrightarrow P_t)$

By taking the ratio:  $(P_t(e^+)/P_l(e^+))/(P_t(e^-)/P_l(e^-))$ 

- Proton polarimetry offsets cancel.
- Point-to-point biases eliminated
- $\epsilon$ -dependence at fixed  $Q^2$  is a signature.
- Statistics limited measurements!

Positrons can't help you get the form factors (biases have the same sign).

# Figure-of-merit

$${\rm F.o.M.} \propto A P_e \sqrt{\frac{d\sigma}{d\Omega} \Omega \mathcal{L} T \varepsilon}$$

- A: polarimeter analyzing power  $\longrightarrow$  same
- $P_e$ : beam polarization  $\approx 80\% \longrightarrow \approx 60\%$
- $\mathcal{L}$ : luminosity  $\approx 80 \ \mu A \longrightarrow \approx 100 \ nA$
- T: run time ???
- $\varepsilon$ : polarimeter efficiency  $\longrightarrow$  same

Factor 38 increase in uncertainty!

# Imagined set-up



BigCal from GEp-III, GEp-2 $\gamma$ 

- Protons in SHMS/HMS
- Non-magnetic lepton detector (BigCal)
- SHMS for low- $\epsilon$ , in parallel with other kinematics in HMS

# Imagined set-up



BigCal from GEp-III, GEp-2 $\gamma$ 

- Protons in SHMS/HMS
- Non-magnetic lepton detector (BigCal)
- SHMS for low- $\epsilon$ , in parallel with other kinematics in HMS

#### **Kinematics**



## $Q^2 = 1.15 \text{ GeV}^2$



# $Q^2 = 1.15 \text{ GeV}^2$



## $Q^2 = 1.15 \text{ GeV}^2$



#### To summarize:

TPE can show up in polarization transfer.

- $e^+/e^-$  is a clean way to measure it.
  - Systematics are on the proton side.
  - Non-magnetic lepton detection
- Getting enough stats is the hard part.

# Single-spin transverse asymmetries are sensitive to the imaginary part of TPE.

Target-normal:

$$A_{n} = \frac{\sqrt{2\epsilon(1+\epsilon)}}{\sqrt{\tau} \left(G_{M}^{2} + \frac{\epsilon}{\tau}G_{E}^{2}\right)} \times \left[-G_{M} \operatorname{Im}\left(\delta \tilde{G}_{E} + \frac{\nu}{M^{2}}\tilde{F}_{3}\right) + G_{E} \operatorname{Im}\left(\delta \tilde{G}_{M} + \frac{2\epsilon\nu}{M^{2}(1+\epsilon)}\tilde{F}_{3}\right)\right] + \mathcal{O}(\alpha^{4})$$

Beam Normal:

$$B_{n} = \frac{4mM\sqrt{2\epsilon(1-\epsilon)(1+\tau)}}{Q^{2}\left(G_{M}^{2} + \frac{\epsilon}{\tau}G_{E}^{2}\right)} \times \left[-\tau G_{M} \operatorname{Im}\left(\tilde{F}_{3} + \frac{\nu}{M^{2}(1+\tau)}\tilde{F}_{5}\right) - G_{E} \operatorname{Im}\left(\tilde{F}_{4} + \frac{\nu}{M^{2}(1+\tau)}\tilde{F}_{5}\right)\right] + \mathcal{O}(\alpha^{4})$$







Beam-normal

- Suppressed by  $m_e/Q$
- $\sim 10^{-4} 10^{-6}$
- False asym. in PV
- Previously measured by:
  - SAMPLE
  - **G**0
  - Mainz A4
  - HAPPEX/PREX

QWeak (prelim)

Target-normal

- $\sim 10^{-3}$
- Previously measured
  - 1970's, looking for T-violation
  - HERMES (including with  $e^+$ )
  - <sup>3</sup>He, Hall A

$$\mathsf{F.o.M} = P\sqrt{rac{d\sigma}{d\Omega}\Omega\mathcal{L}T}$$

#### Previous beam-normal asymmetry data



#### Low- $\epsilon$ beam-normal asymmetry data



#### High- $\epsilon$ beam-normal asymmetry data



# Challenges with beam-normal asymmetries and positrons

- Making transversely polarized beam
- Need high luminosity
- Resolve ppm asymmetries
- Positrons don't help with systematics
  - Beam polarimetry
  - False asymmetries

# Target-Normal Asymmetry Estimate

Assumptions

- $\blacksquare \ {\cal L} = 10^{35} \ {\rm cm}^{-2} {\rm s}^{-1}$ 
  - Limited by target
  - $\blacksquare$   $\approx$  100 nA
- 12% target polarization (including NH<sub>3</sub> dilution factor)
- Both Hall A HRSs at 17°

■ 50% live time

#### Target-Normal Asymmetry Estimate



# Target-Normal Asymmetry Estimate

- *e*<sup>+</sup> measurement is feasible
- Adequate statistics
- Problems are systematic
  - Luminosity
  - $e^+/e^-$  switching time
  - Target polarization
  - Target flip time
  - Positrons do not help.

# Summary

- Polarization transfer is clean, but statistics limited.
- Beam-normal asymmetries are statistics limited.
- Target-normal asymmetries might be feasible

# Summary

- Polarization transfer is clean, but statistics limited.
- Beam-normal asymmetries are statistics limited.
- Target-normal asymmetries might be feasible

Getting TPE data in multiple channels is important for validating theory!