

# R-Functions for Hall A L-HRS Acceptance

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# HRS Acceptance

- Want to select events passing through a well understood region of the HRS acceptance
- The HRS acceptance is a 5-D region of space, depending on the variables  $\{x_{tg}, y_{tg}, \theta_{tg}, \phi_{tg}, \delta p\}$
- These variables are correlated, making the 5-D acceptance region impossible to visualize
- Want a way to make a single cut, that considers all acceptance parameters at once, and their correlations— use R-Function

# R-Function

- The R-Function will assign a numerical R-value to each event for given  $\{x_{tg}, y_{tg}, \theta_{tg}, \phi_{tg}, \delta p\}$
- A cut can be made on the R-value, to accept only events with R-value  $\geq$  R-cut
- R-cut can be varied to accept more or less events
- Corresponds to stretching/contracting acceptance region

# R-Function for DVCS

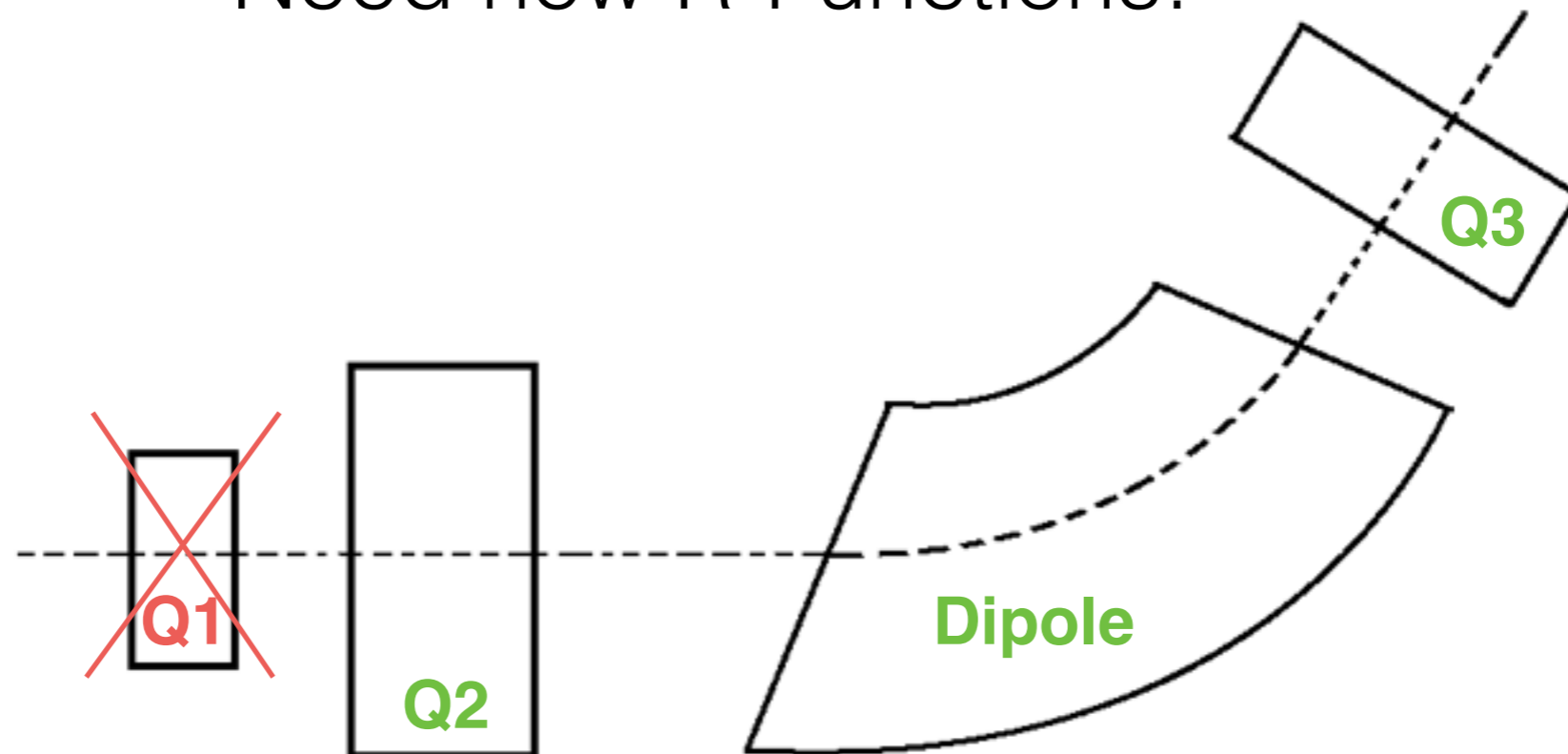
Q1 detuned for most of Spring 2016



HRS Acceptance region is different for each kinematic setting



Need new R-Functions!



# Spring 2016

HRS Central Momentum

Kin-48-1

1.485 GeV

Kin-48-2\*\*\*

3.996 GeV

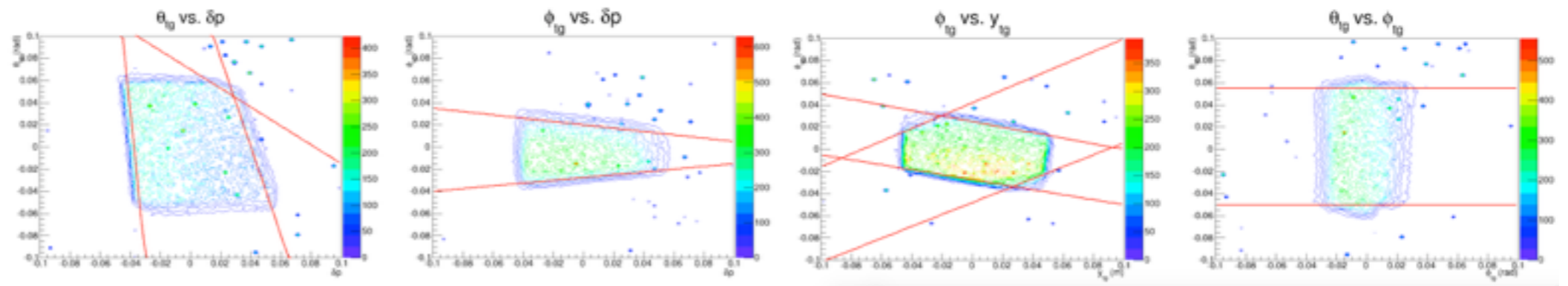
Kin-48-3\*\*\*

2.920 GeV

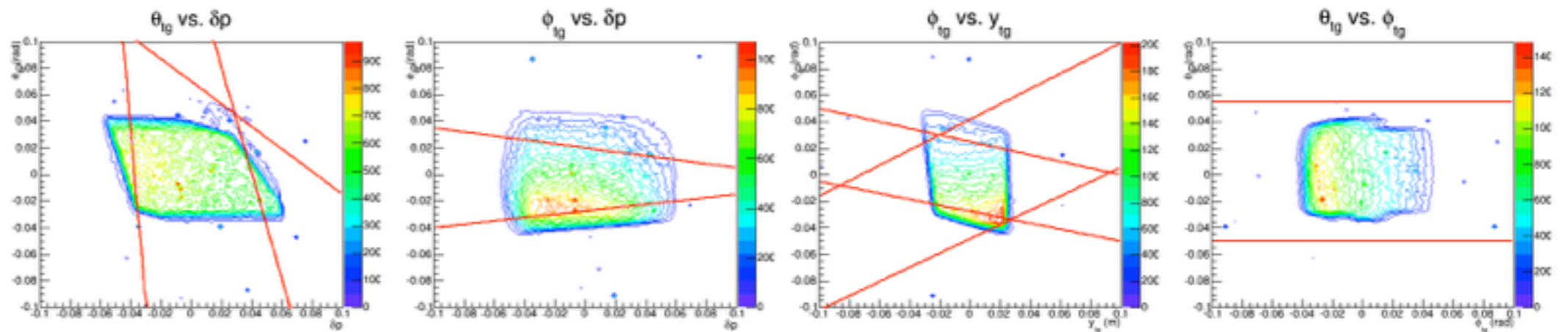
Kin-48-4\*\*\*

3.360 GeV

Kin-48-1



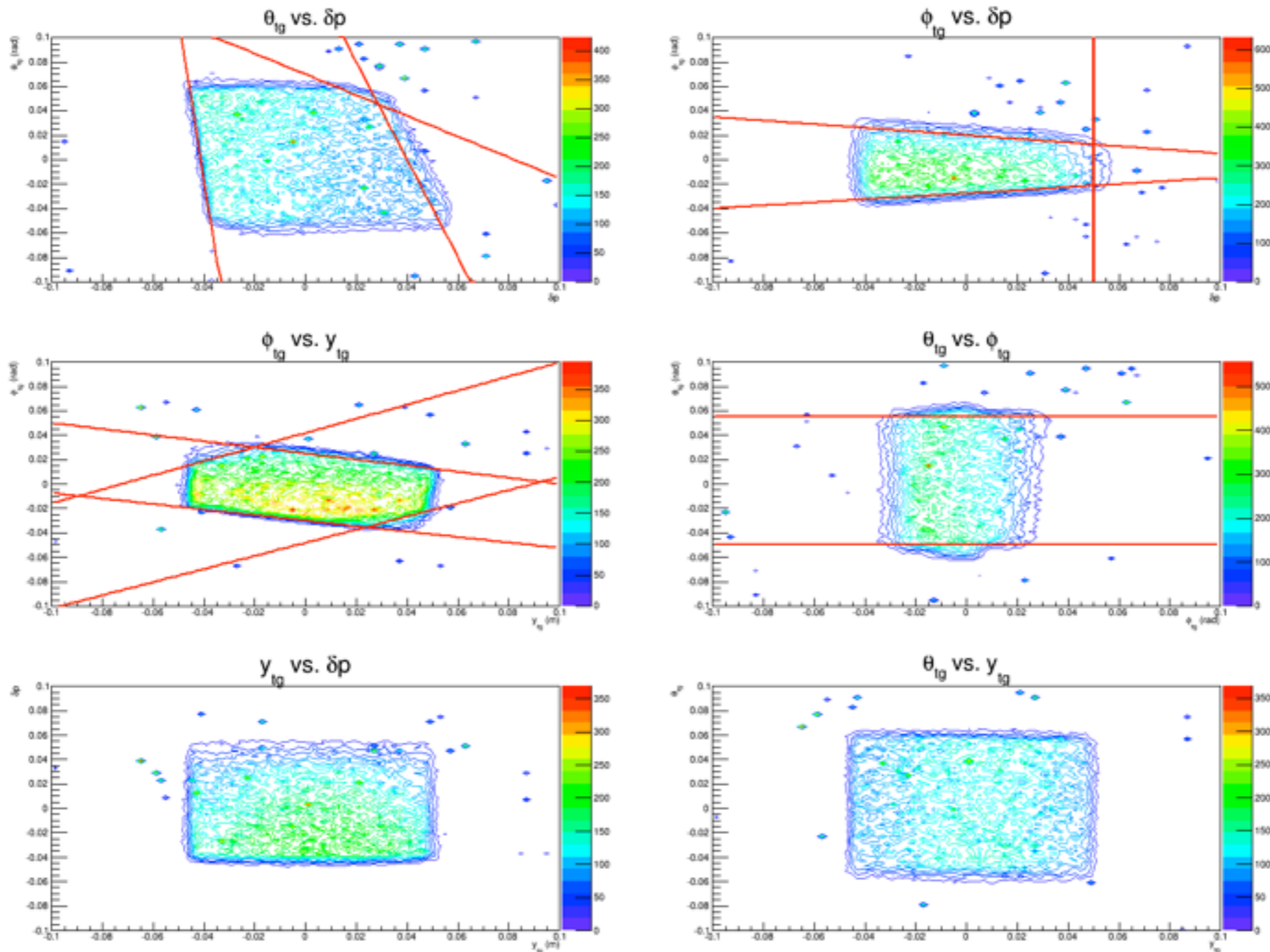
Kin-48-2



\*\*\*Q1 detuned; set for central momentum of  $P = 2.5$  GeV

# Constructing the R-Function

Look for correlations in the 6, 2-D planes of acceptance parameters.



# Defining the R-Function

$$C1 = \min(F1, F2)$$

$$C2 = \min(F3, F10)$$

$$C3 = \min(F4, F5)$$

$$C4 = \min(F6, F7)$$

$$C5 = \min(F8, F9)$$

$$C6 = \min(F11, F12)$$

$$P1 = \min(C1, C2)$$

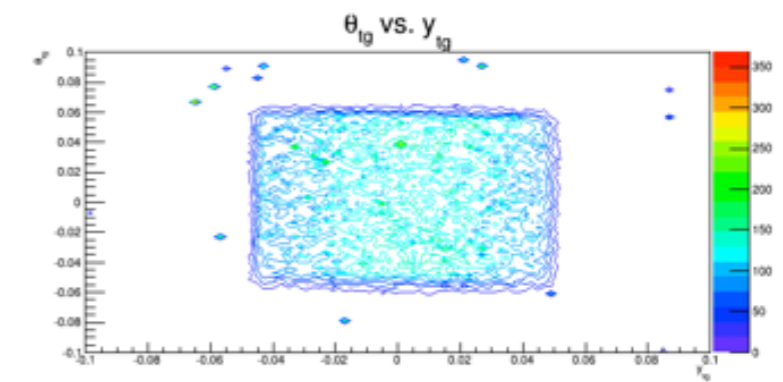
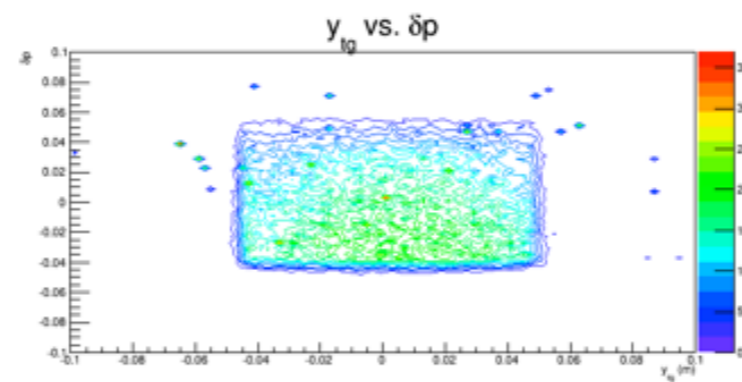
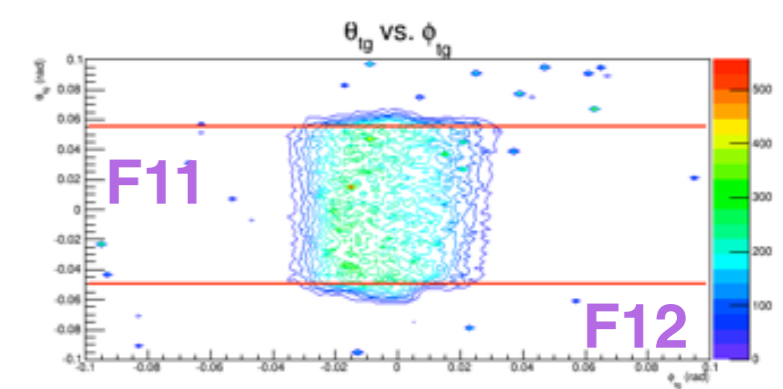
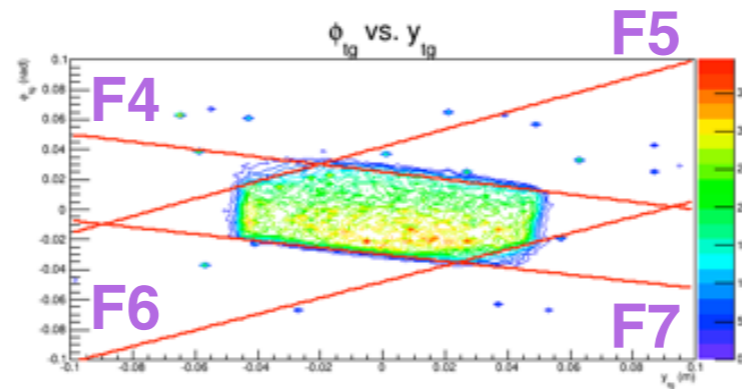
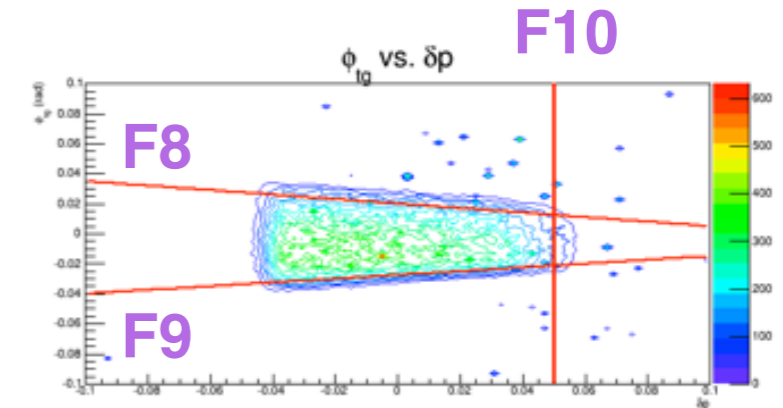
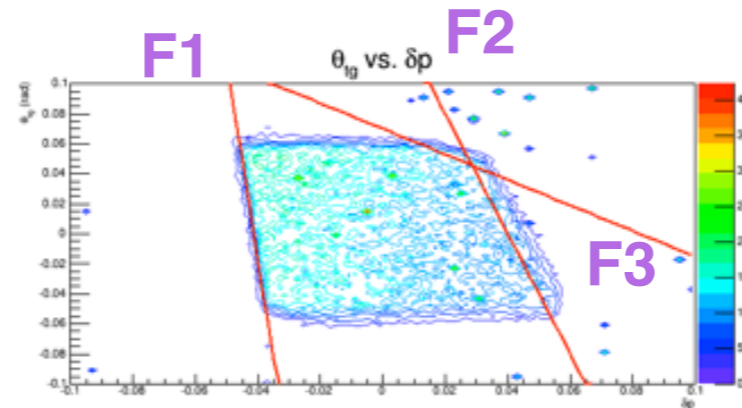
$$P2 = \min(C3, C4)$$

$$P3 = \min(C5, C6)$$

$$D1 = \min(P1, P2)$$

$$D2 = \min(D1, P3)$$

$$R = \min(D1, D2)$$

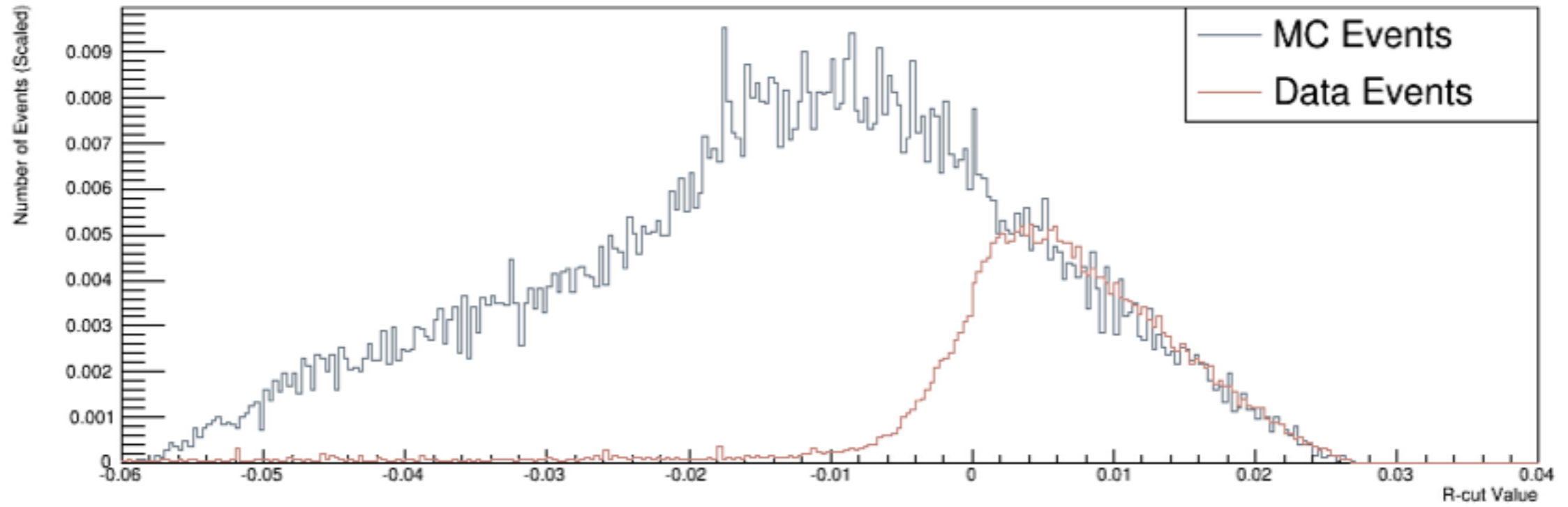


# Finding best R-Cut

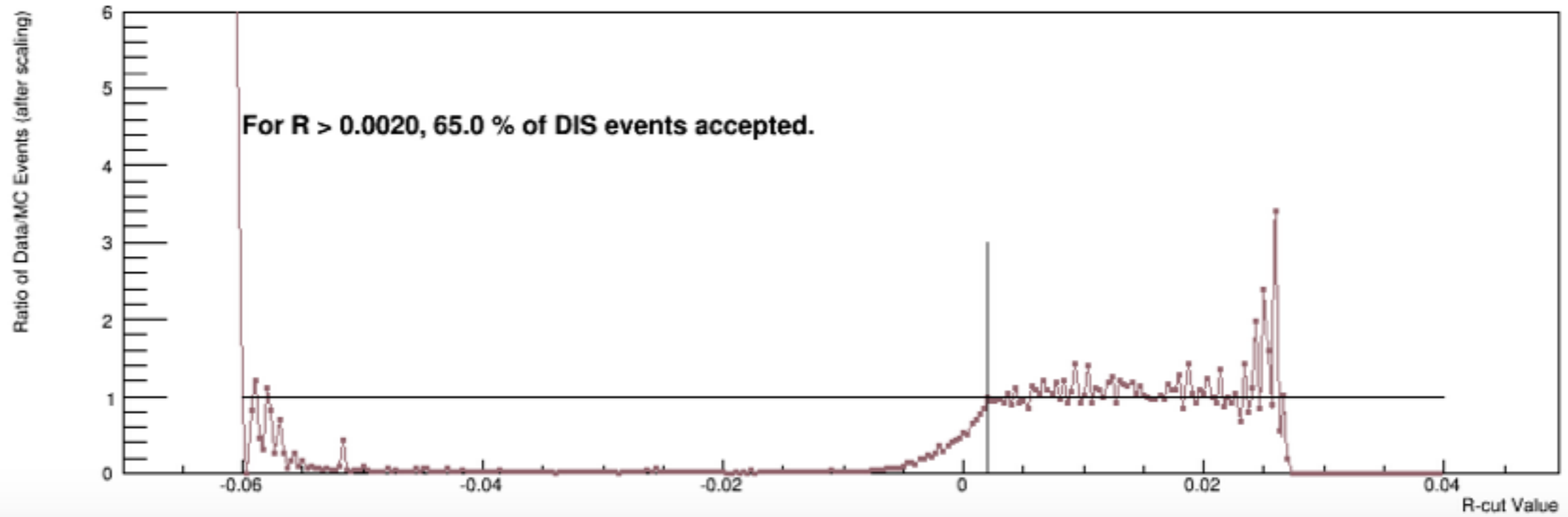
- Find R-Value for both experimental and simulated events, using the same R-Function
- Consider a range of R-Cut, where events with R-Value > R-Cut are accepted
- Find R-Cut where experimental data begins to agree with simulated data (above which the cross section will stabilize)



Number of Events for MC (kin 481) and Run 12518

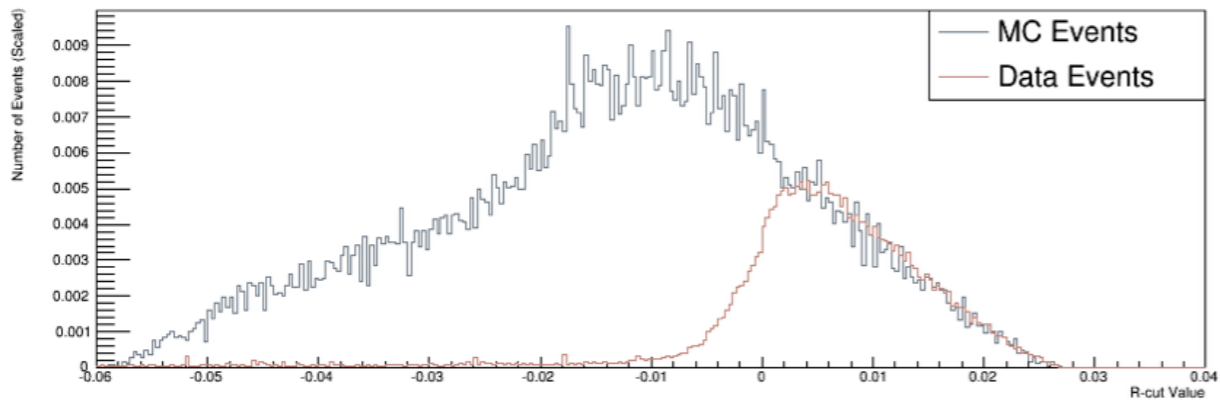


Ratio of Data/MC Events for kin-481, Run 12518

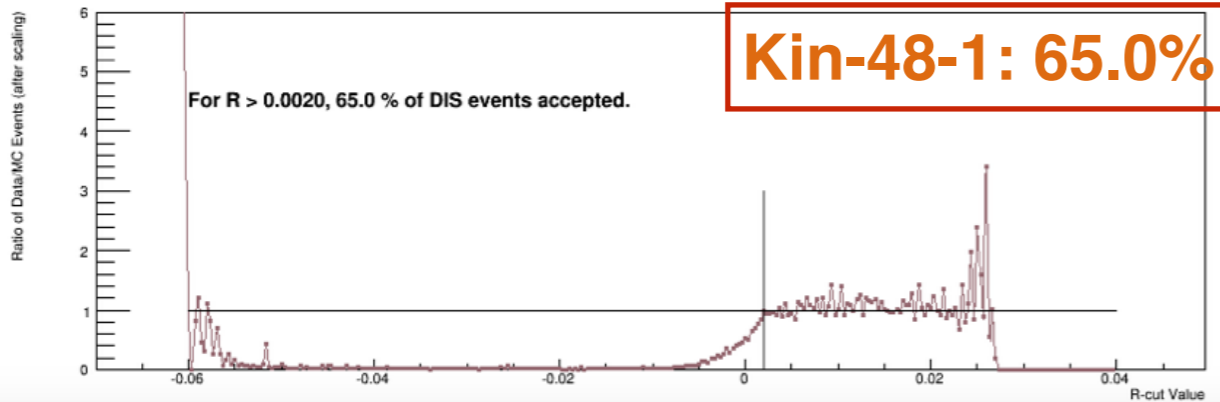


R-cut = 0.002

Number of Events for MC (kin 481) and Run 12518

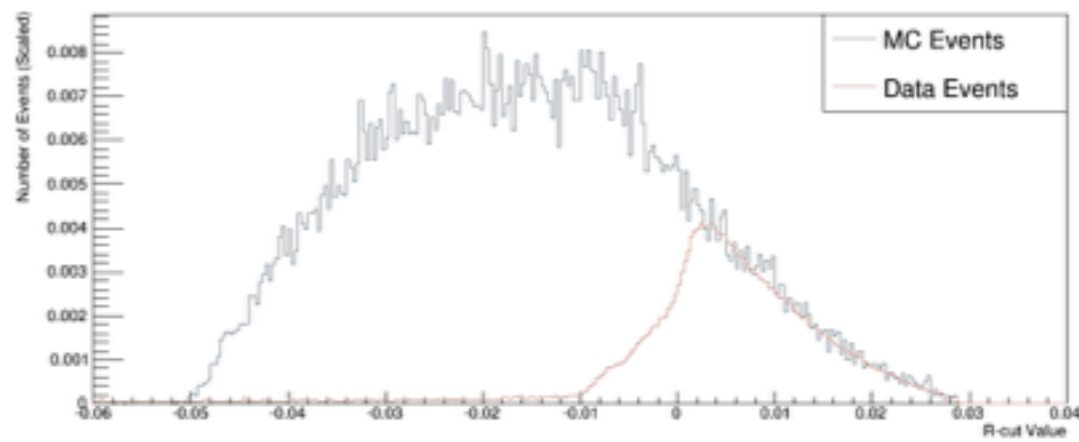


Ratio of Data/MC Events for kin-481, Run 12518

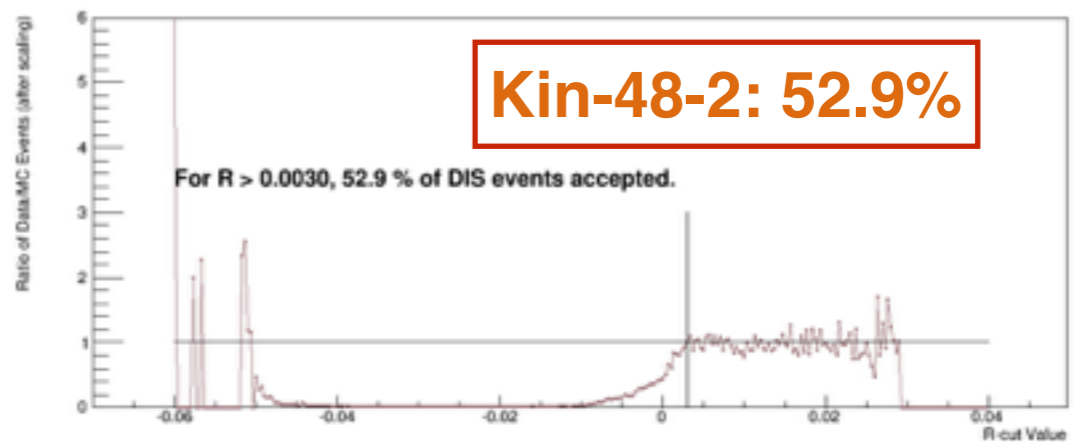


**Kin-48-1: 65.0%**

Number of Events for MC (kin 482) and Run 13013

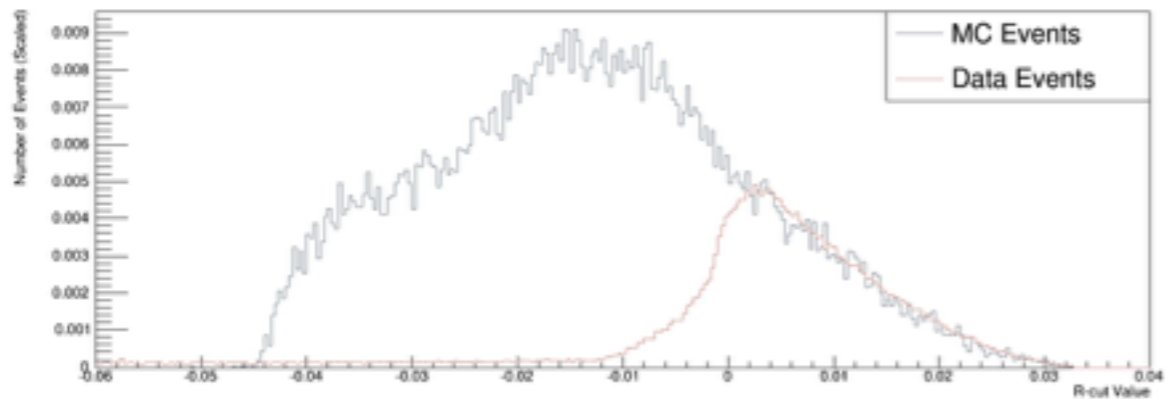


Ratio of Data/MC Events for kin-482, Run 13013

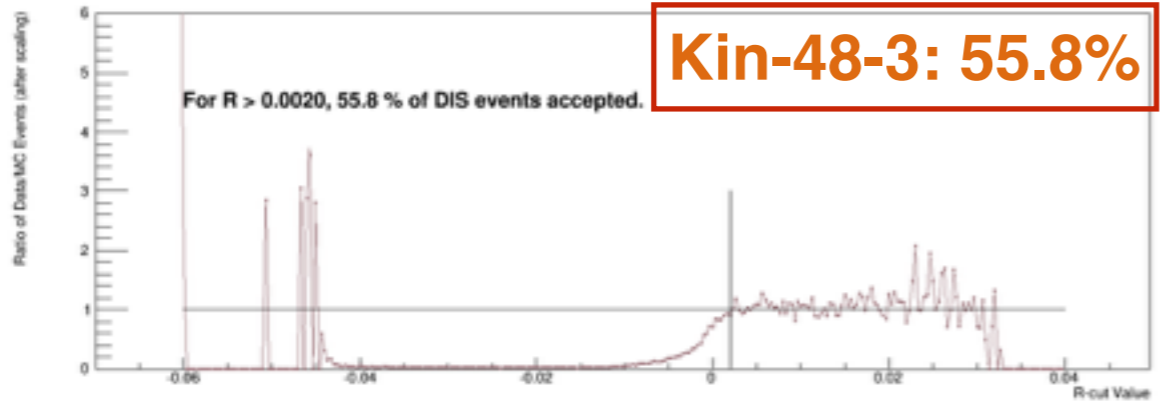


**Kin-48-2: 52.9%**

Number of Events for MC (kin 483) and Run 12843

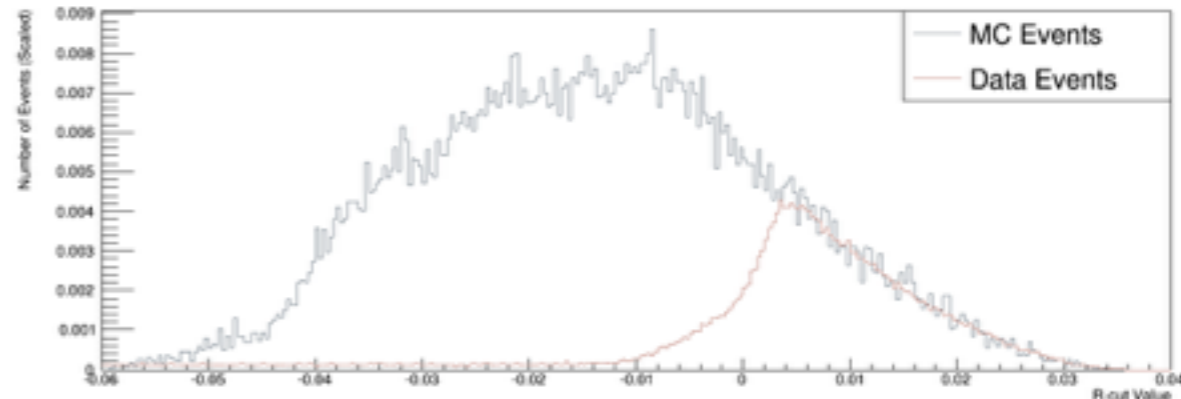


Ratio of Data/MC Events for kin-483, Run 12843

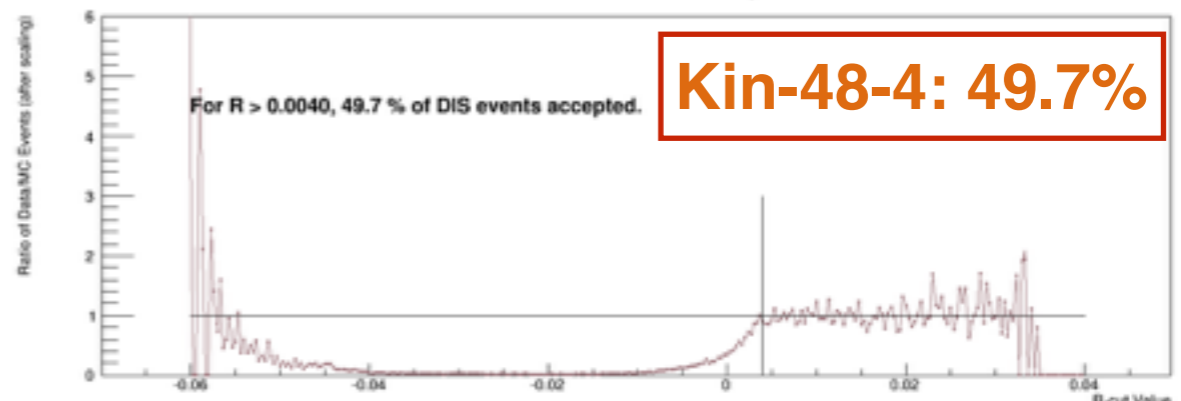


**Kin-48-3: 55.8%**

Number of Events for MC (kin 484) and Run 13136



Ratio of Data/MC Events for kin-484, Run 13136

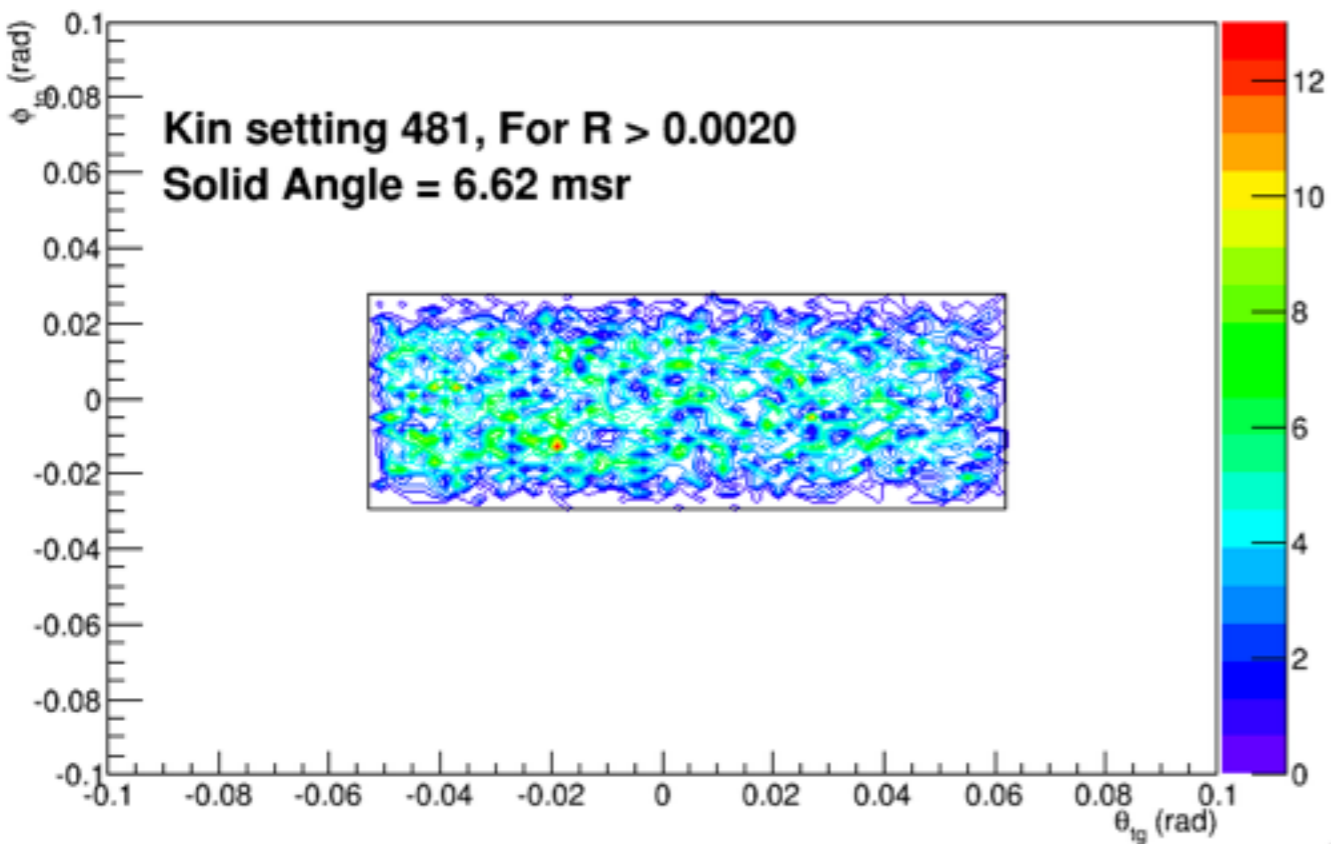


**Kin-48-4: 49.7%**

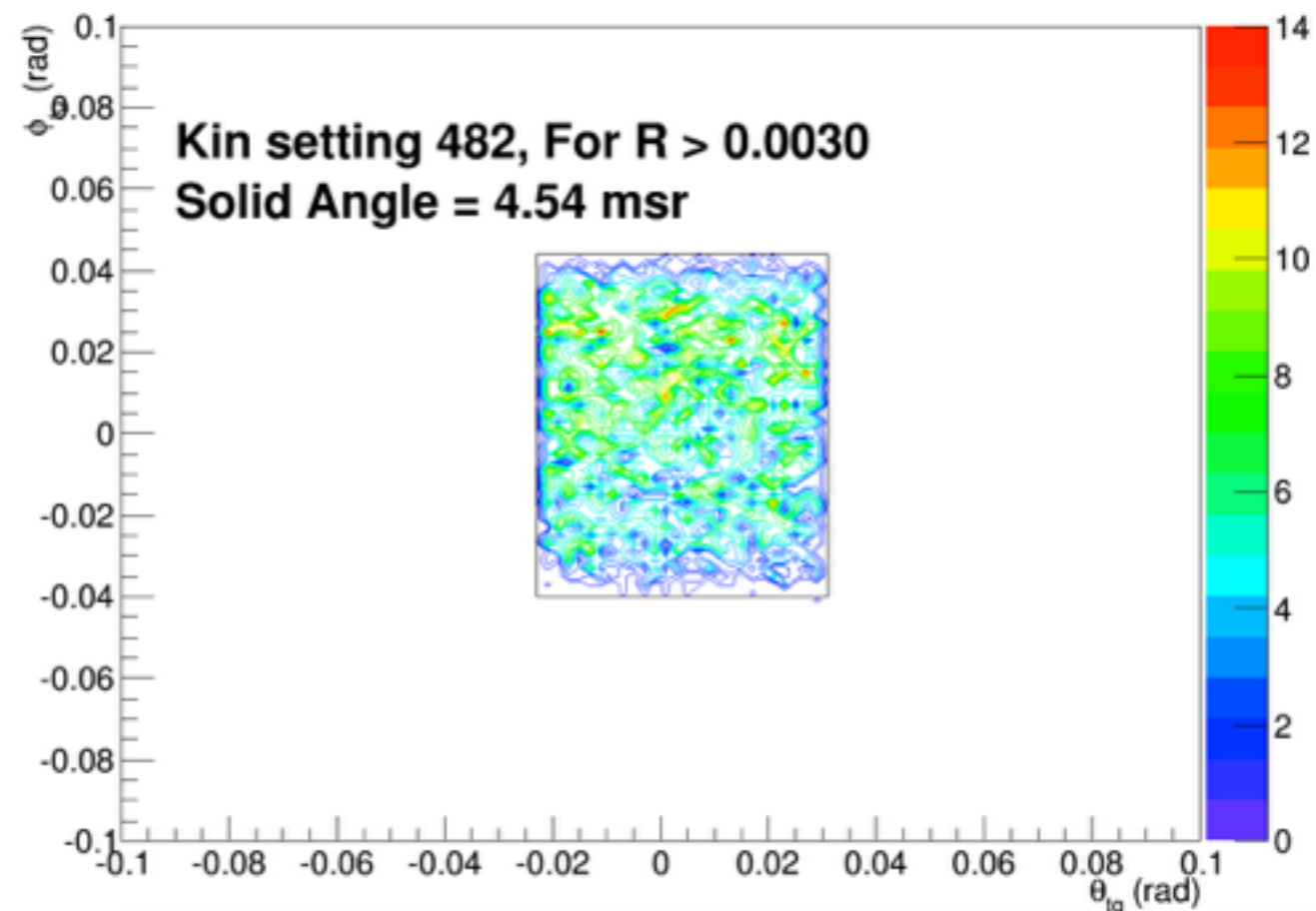
# Extracting the HRS Solid Angle

- Decide on a good R-Cut to use
- Plot  $\phi_{tg}$  vs.  $\theta_{tg}$  for events with  $R > R\text{-cut}$
- Use rectangular approximation for solid angle

Phi vs. Theta for  $R > 0.002000$

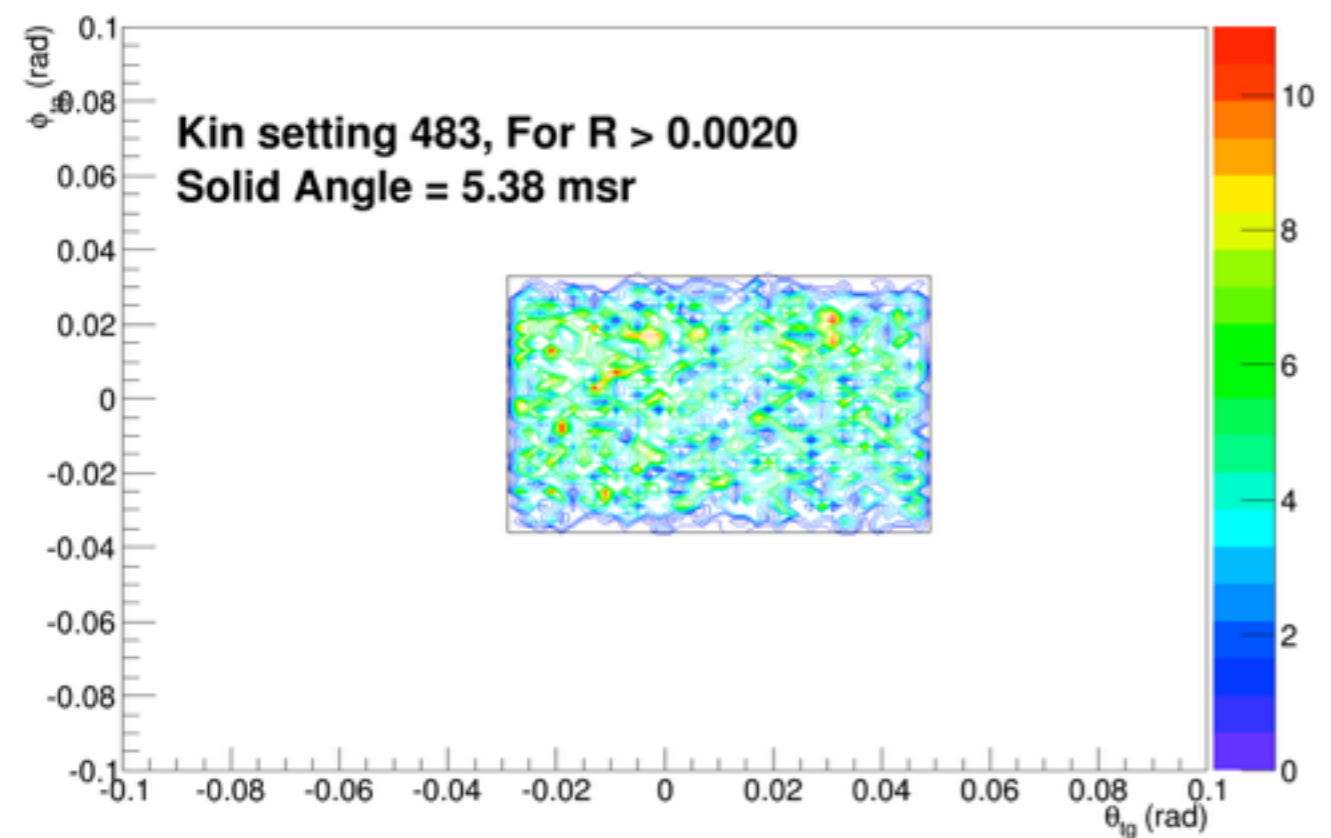


Phi vs. Theta for  $R > 0.003000$

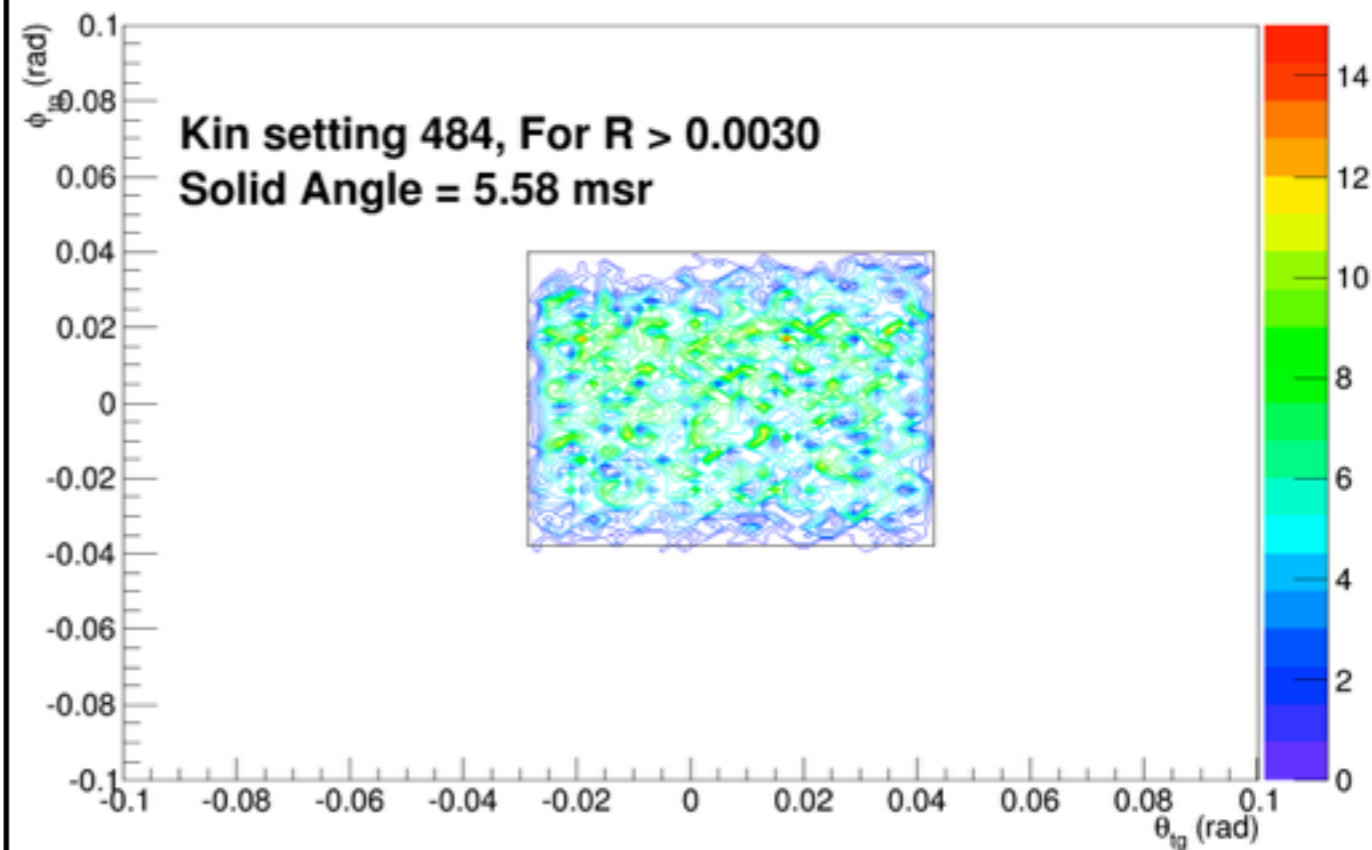


Note: these plots are for all values of momentum,  $p$ !!

Phi vs. Theta for  $R > 0.002000$



Phi vs. Theta for  $R > 0.003000$



# Initial cuts: too many or too few?

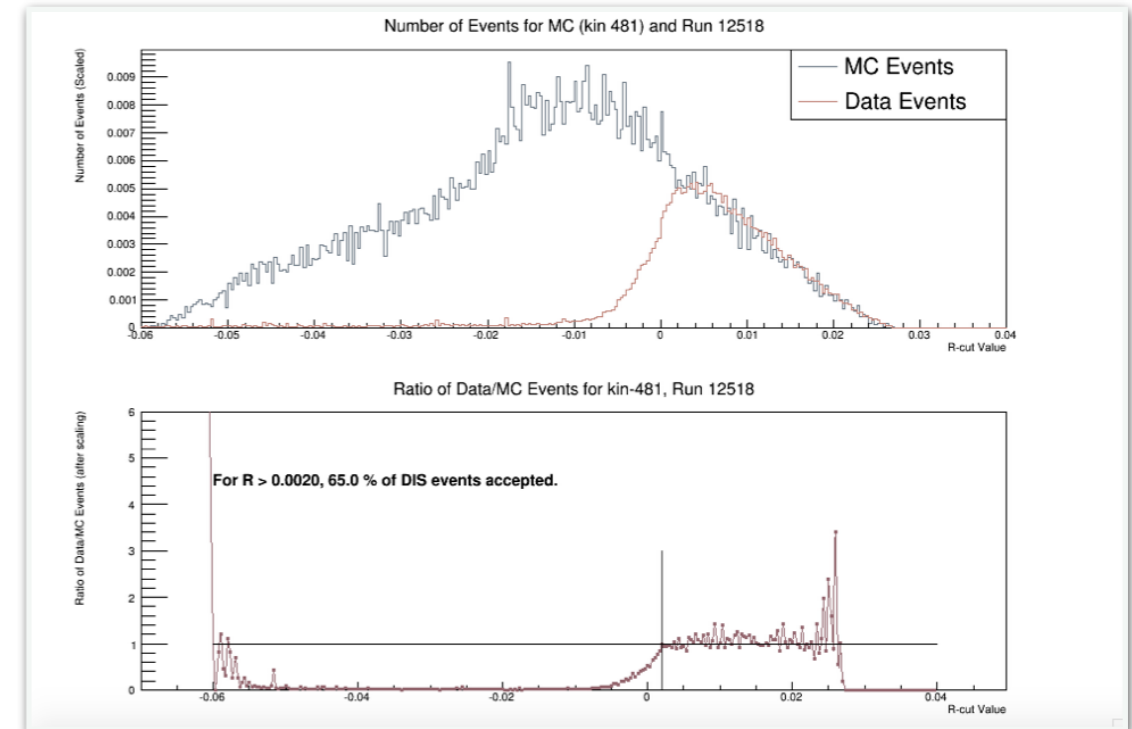
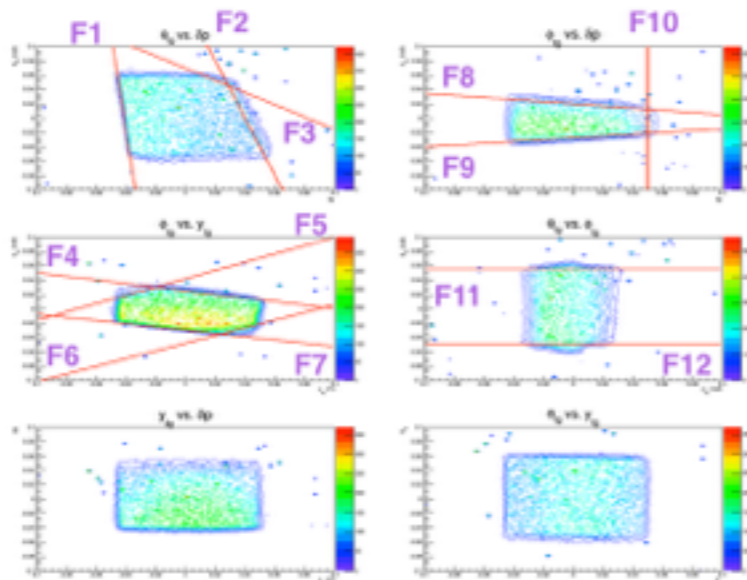
## Defining the R-Function

$$\begin{aligned} C1 &= \min(F1, F2) \\ C2 &= \min(F3, F10) \\ C3 &= \min(F4, F5) \\ C4 &= \min(F6, F7) \\ C5 &= \min(F8, F9) \\ C6 &= \min(F11, F12) \end{aligned}$$

$$\begin{aligned} P1 &= \min(C1, C2) \\ P2 &= \min(C3, C4) \\ P3 &= \min(C5, C6) \end{aligned}$$

$$\begin{aligned} D1 &= \min(P1, P2) \\ D2 &= \min(D1, P3) \end{aligned}$$

$$R = \min(D1, D2)$$



Test: Make cuts on **every edge** in **every 2D plane**.

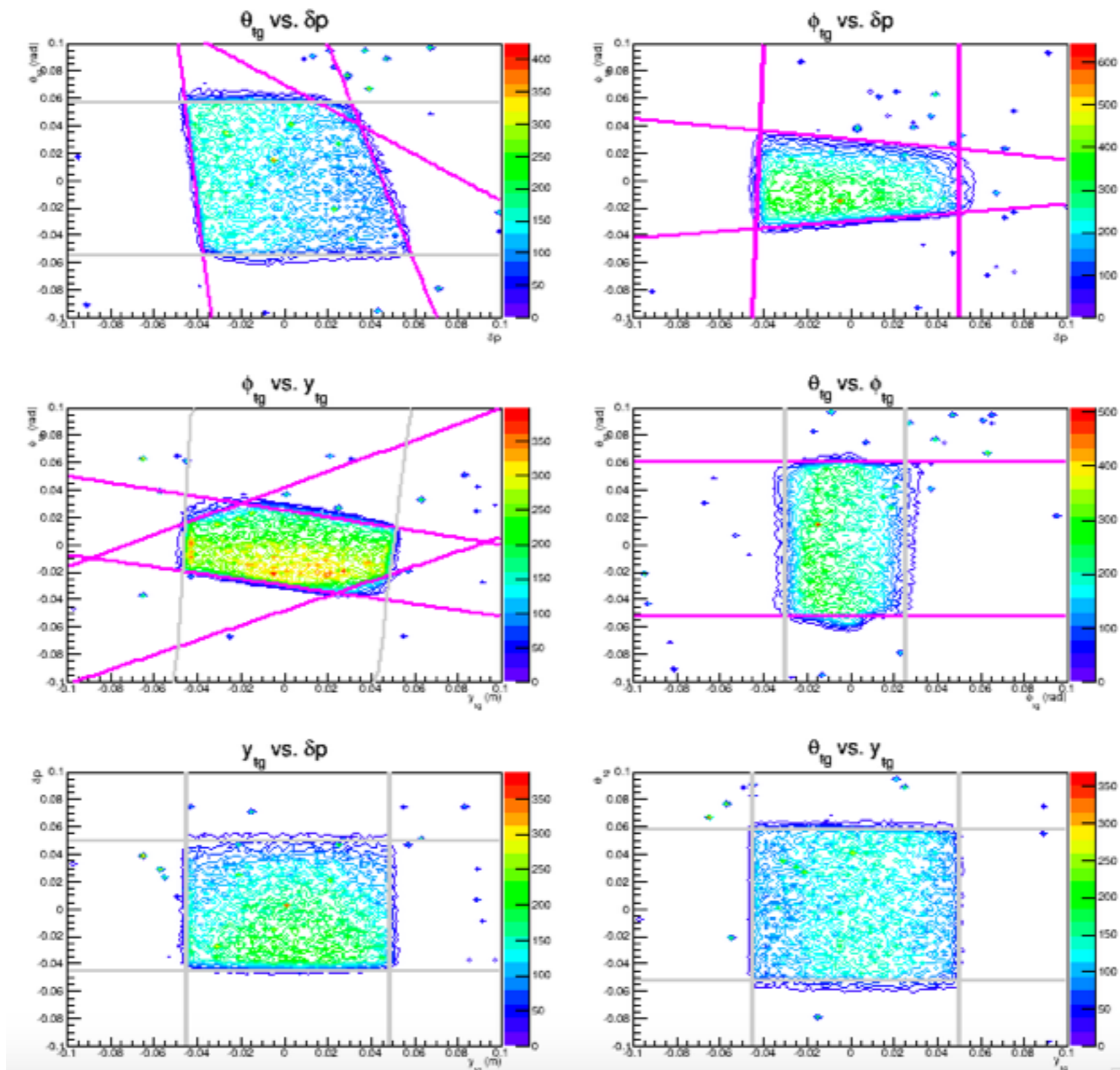
\*\*\*If removing a cut does not change the % of events accepted, cut is considered redundant.



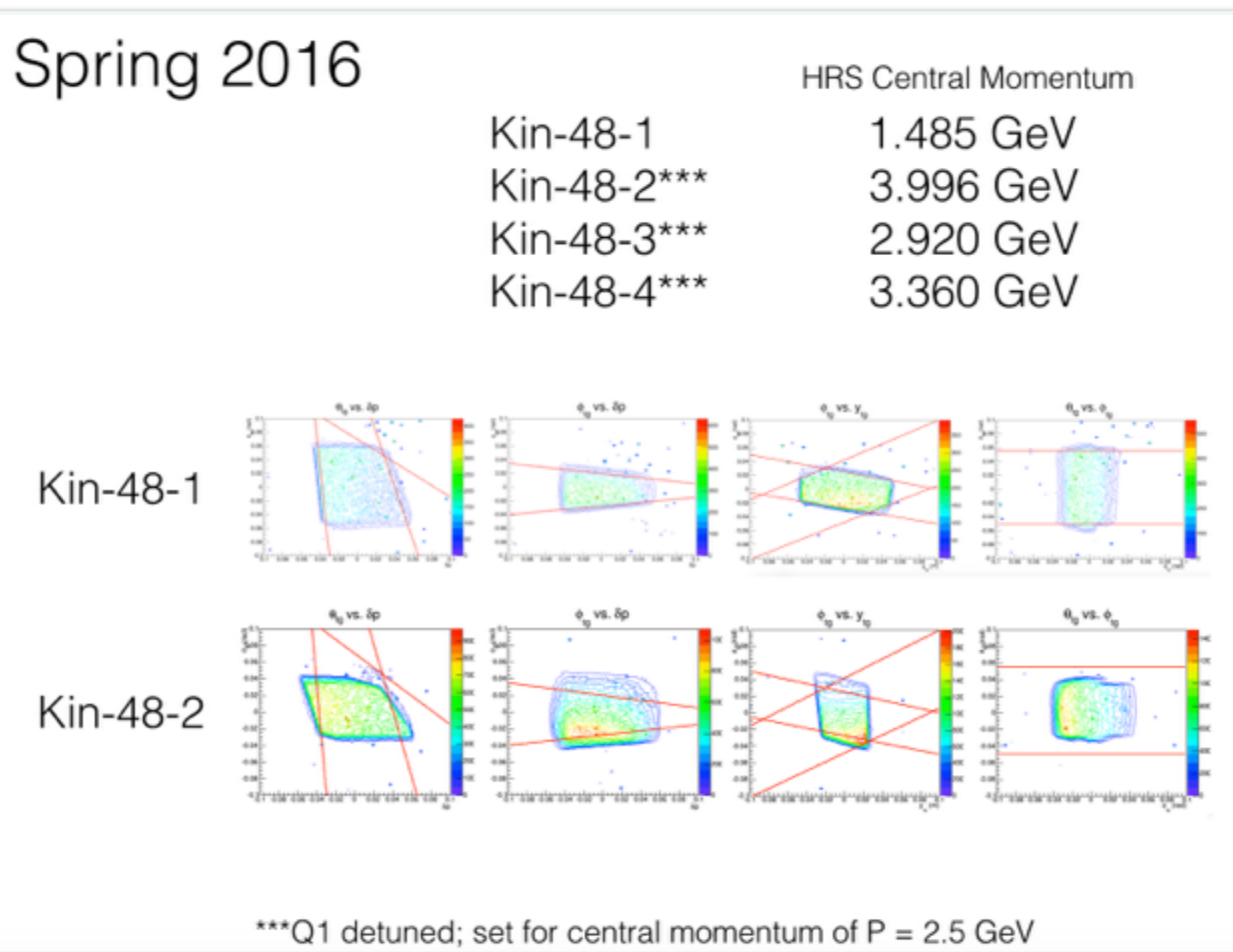
Gray lines = redundant cuts



Magenta lines = necessary cuts



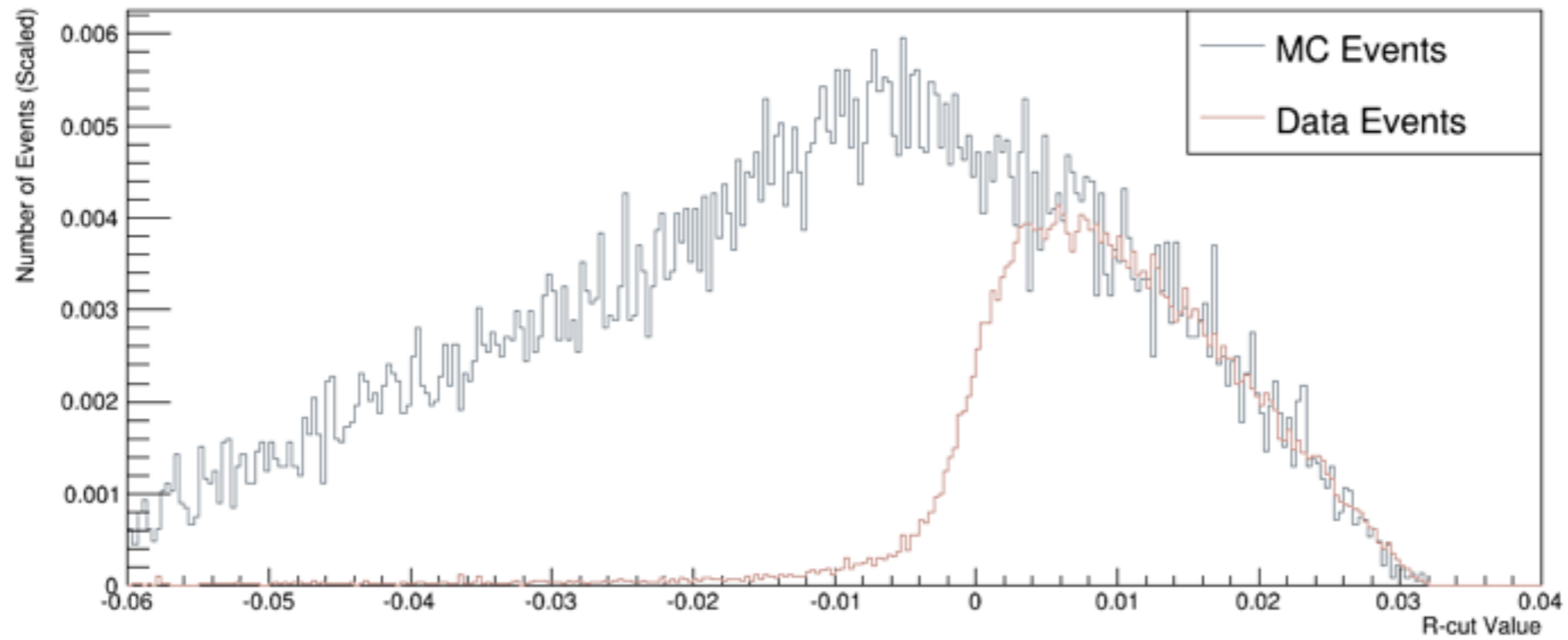
# Kin-48-1 — Q1 correctly tuned



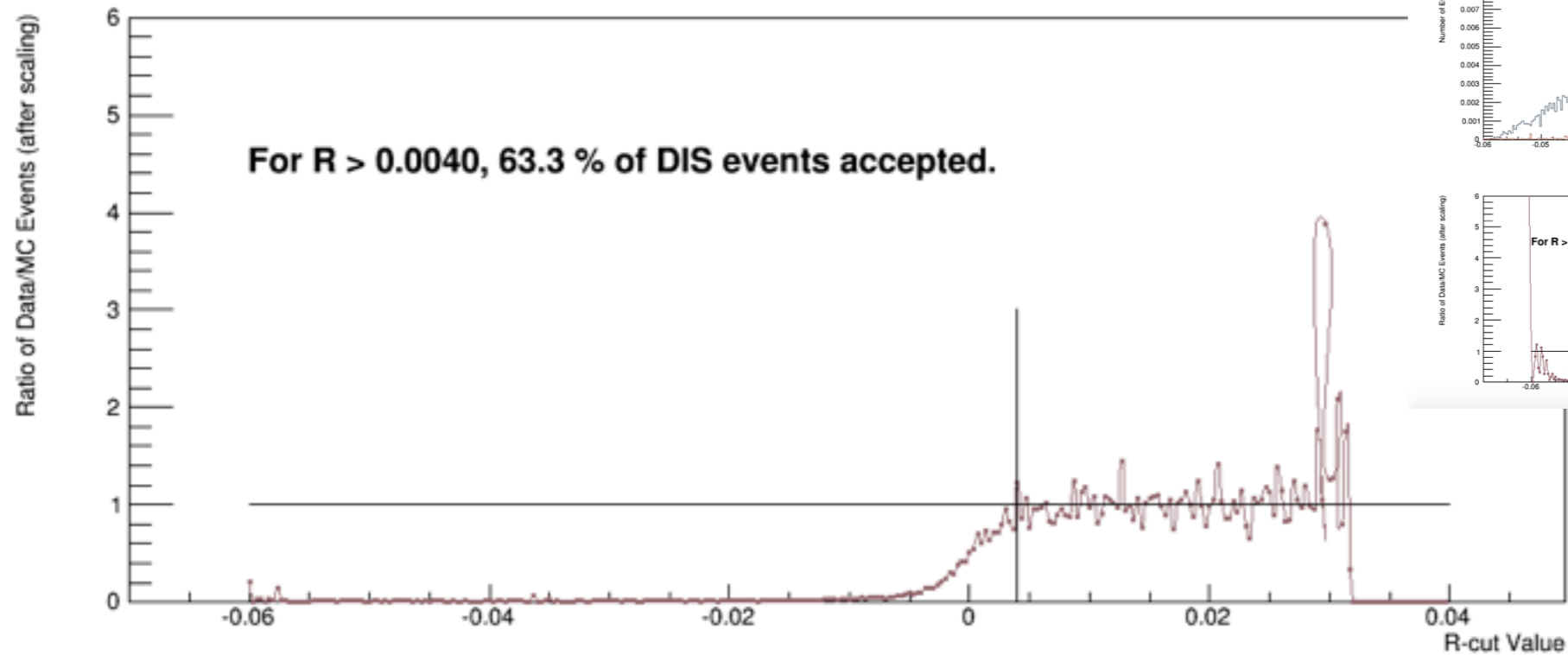
Compare results of new R-Function to old R-Function

# Old R-Function analysis: **63.3%** accepted

Number of Events for MC (kin 481) and Run 12518



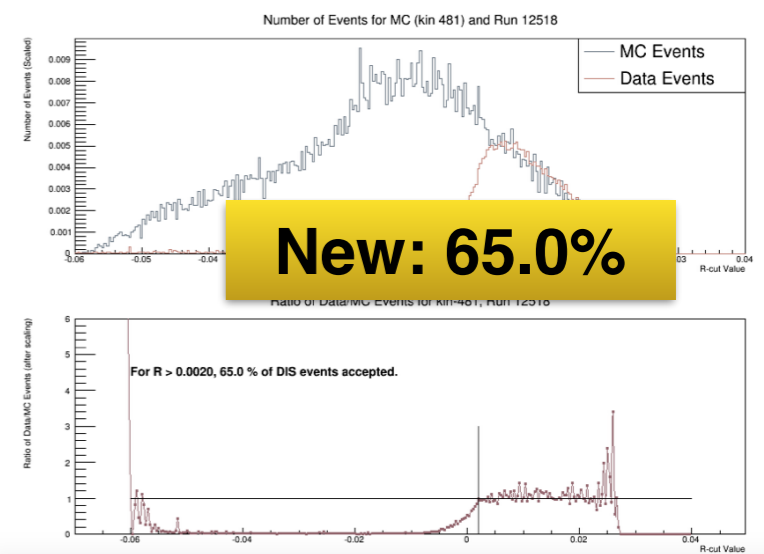
Ratio of Data/MC Events for kin-481, Run 12518



For  $R > 0.0040$ , 63.3 % of DIS events accepted.

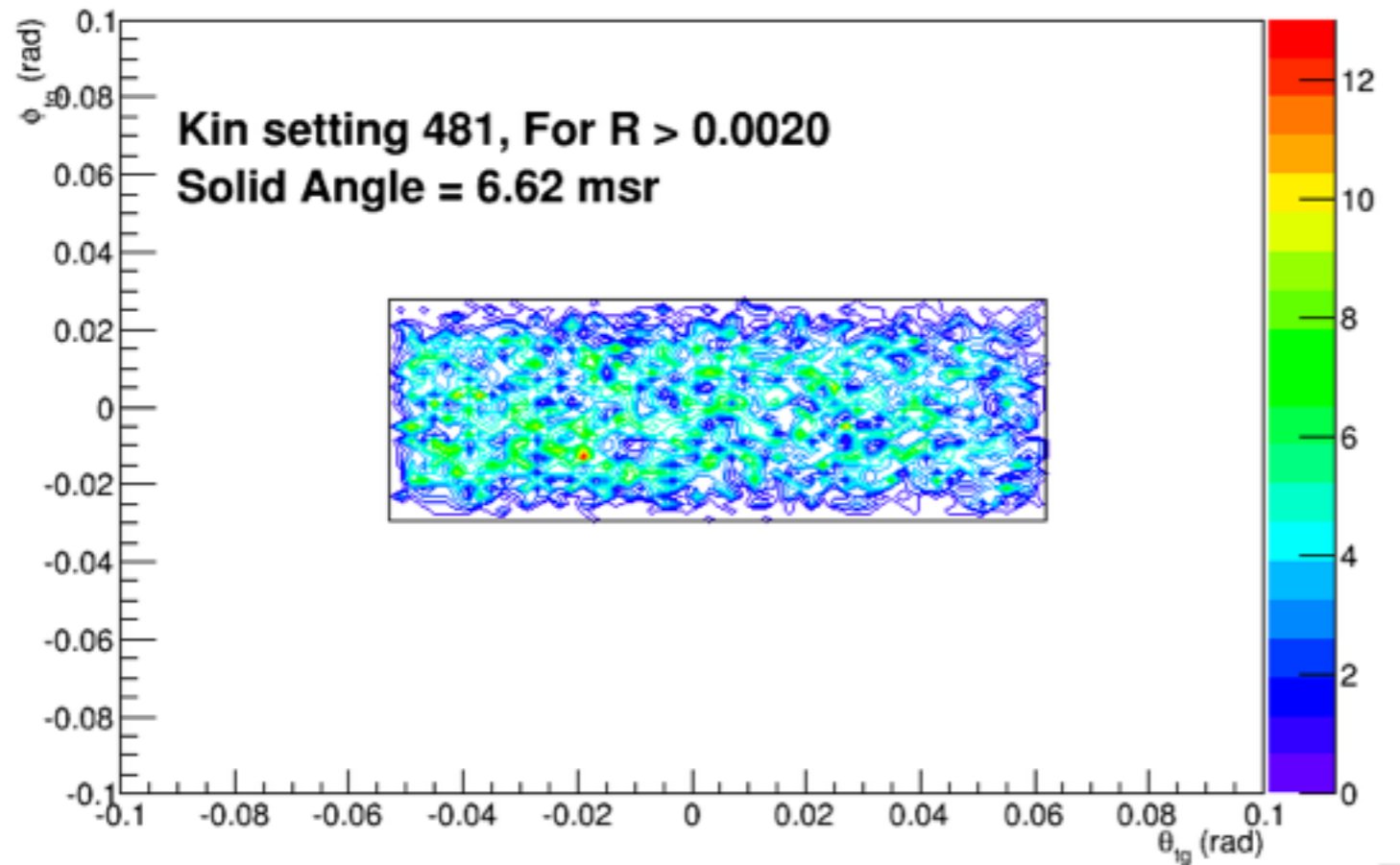
**New: 65.0%**

For  $R > 0.0020$ , 65.0 % of DIS events accepted.





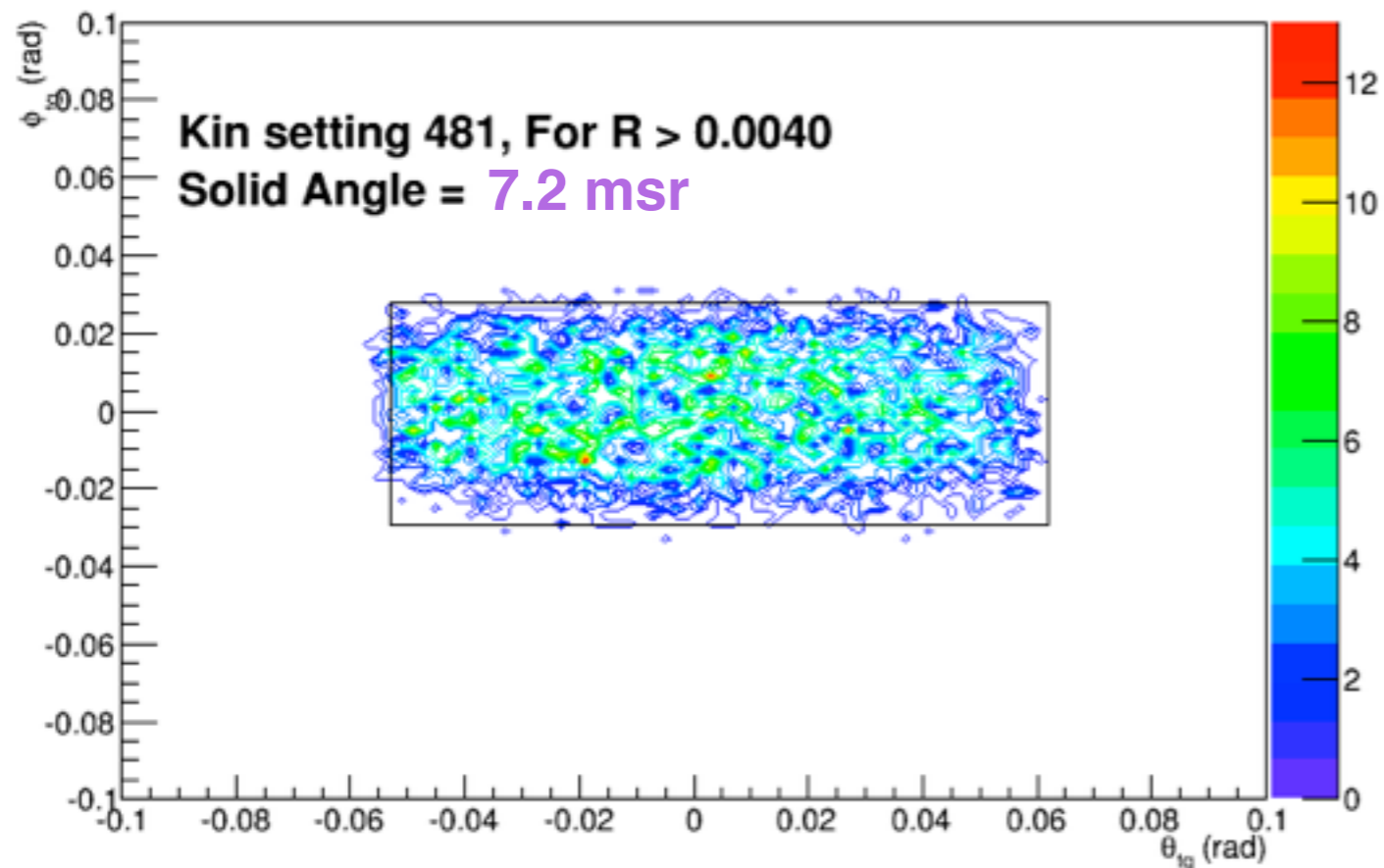
Phi vs. Theta for  $R > 0.002000$



**New R-Function**

Compare extracted  
HRS Solid Angle

Phi vs. Theta for  $R > 0.004000$



**Old R-Function**

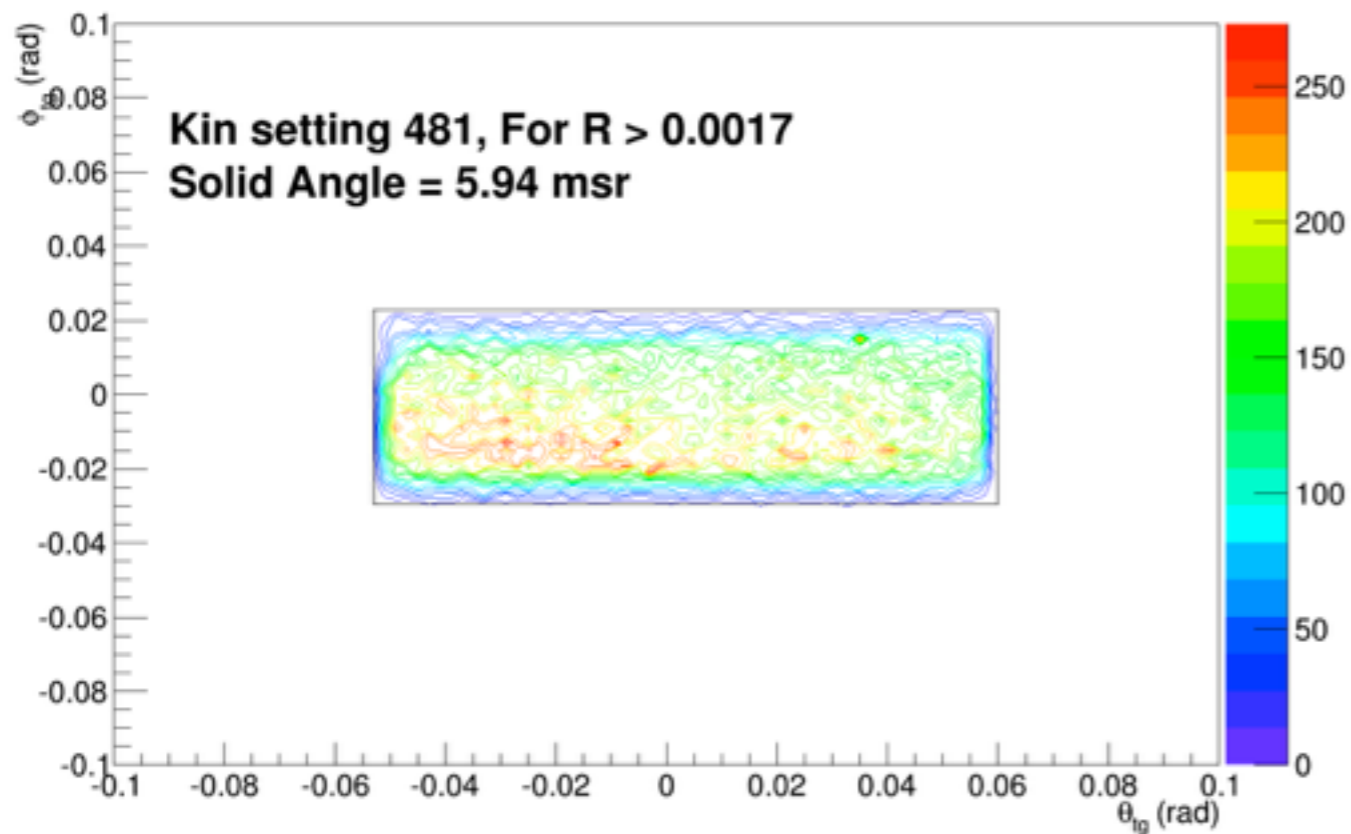
# Future Tasks

- Find redundant cuts for Kin-48-2,3,4
- Repeat plots of  $\phi_{tg}$  vs.  $\theta_{tg}$  for different ranges in  $\delta p$
- Implement new R-Functions into DVCS analyzer library
- Confirm DIS cross-section remains stable above R-Cut
- Calculate errors

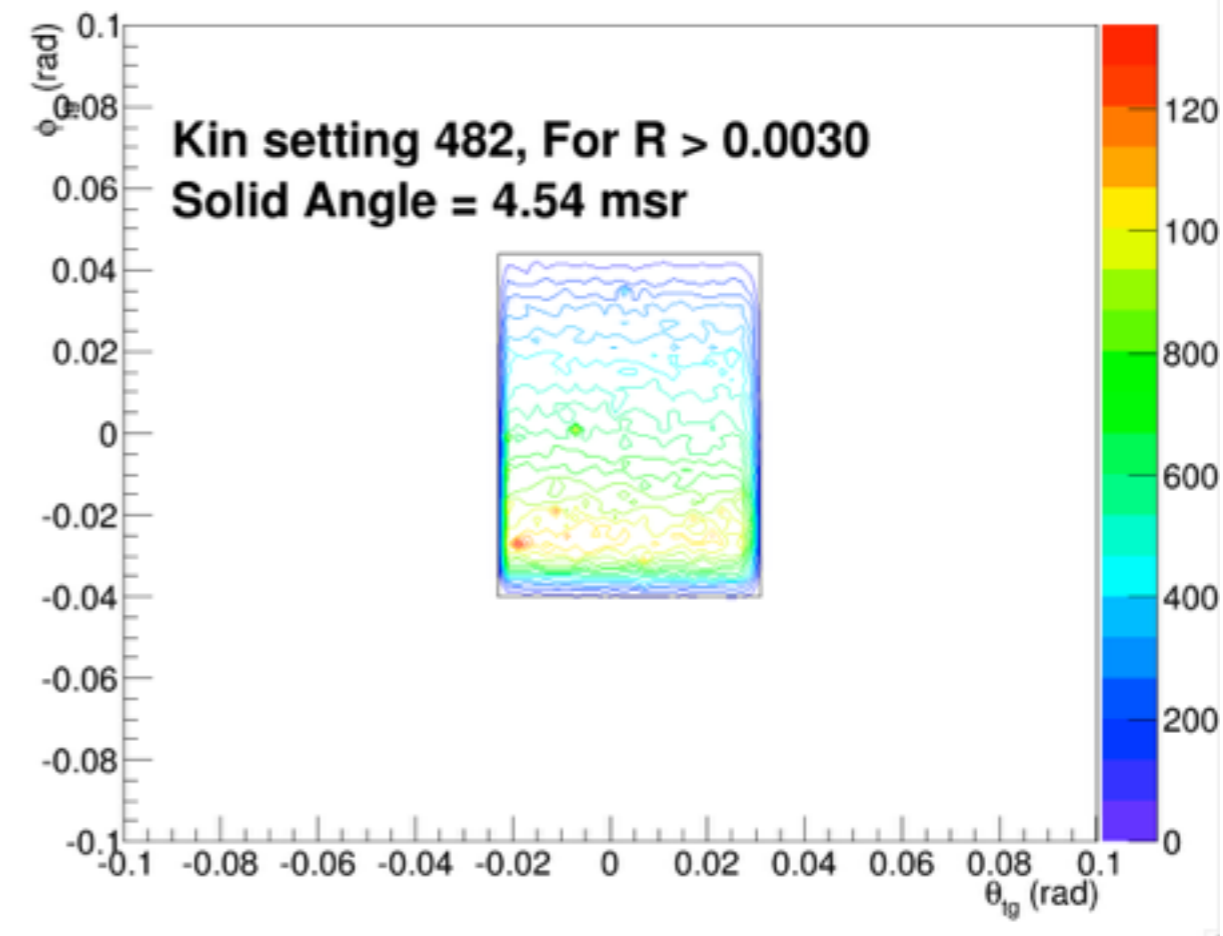


Extra Slides

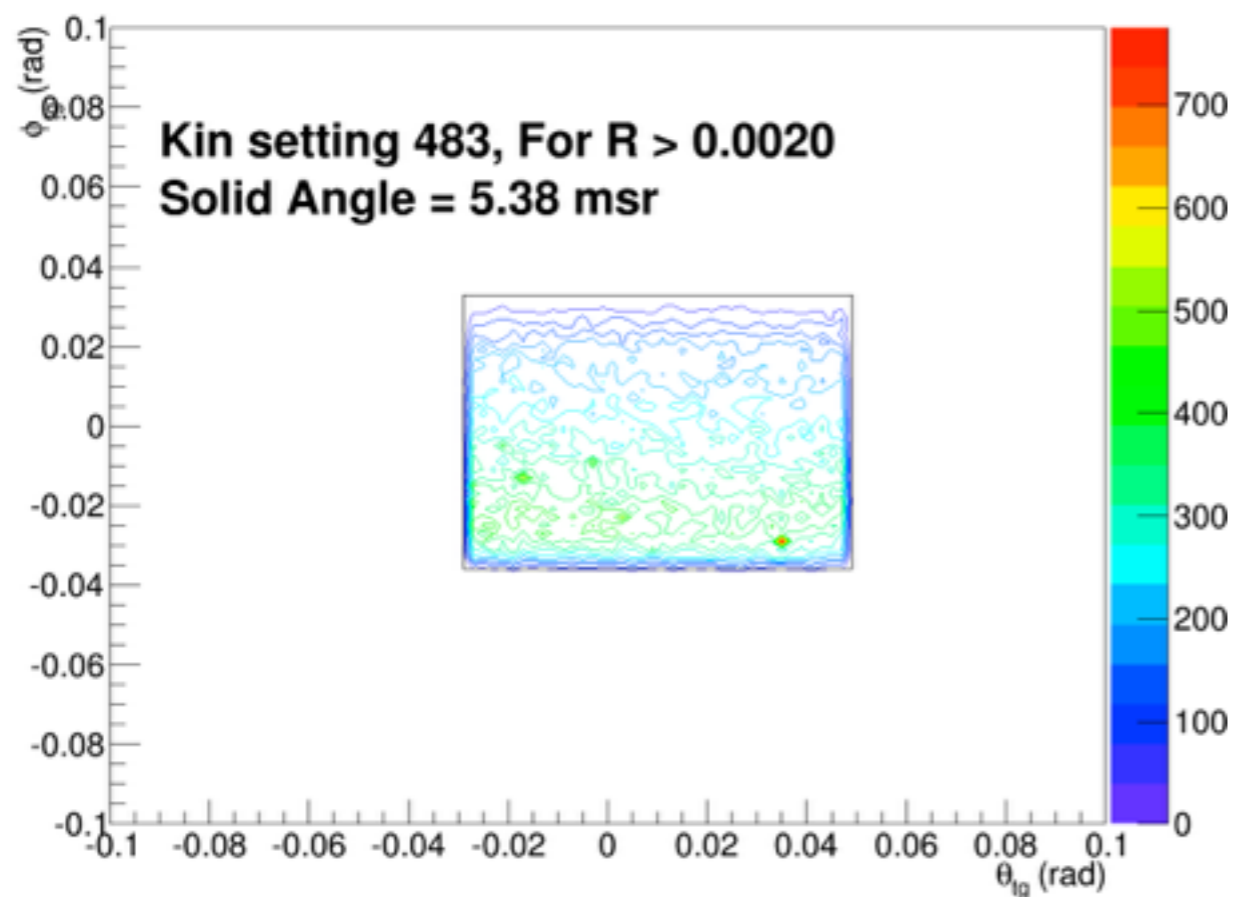
Theta vs. Phi for  $R > 0.001700$



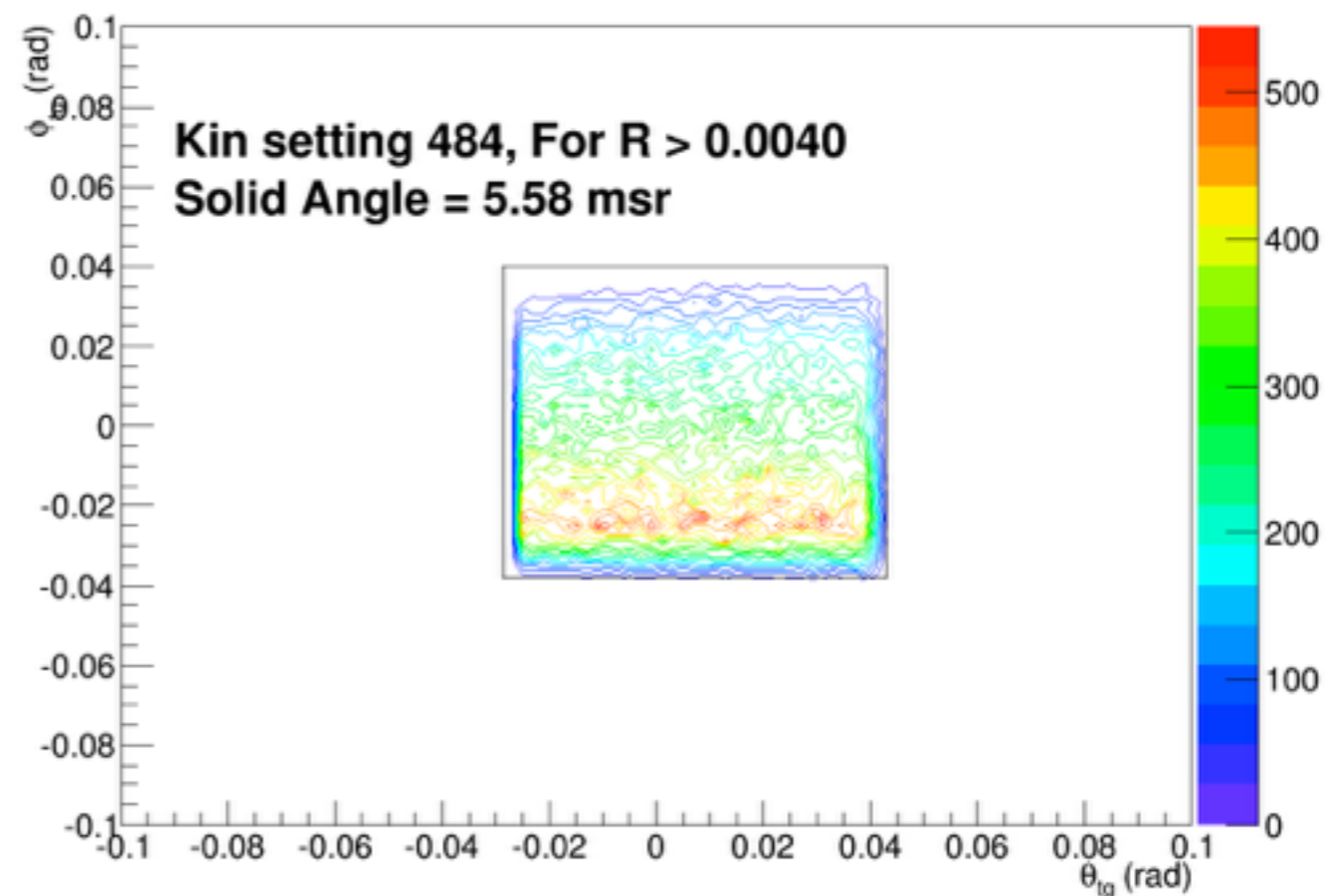
Theta vs. Phi for  $R > 0.003000$



Theta vs. Phi for  $R > 0.002000$



Theta vs. Phi for  $R > 0.004000$



# DIS Cross-Section

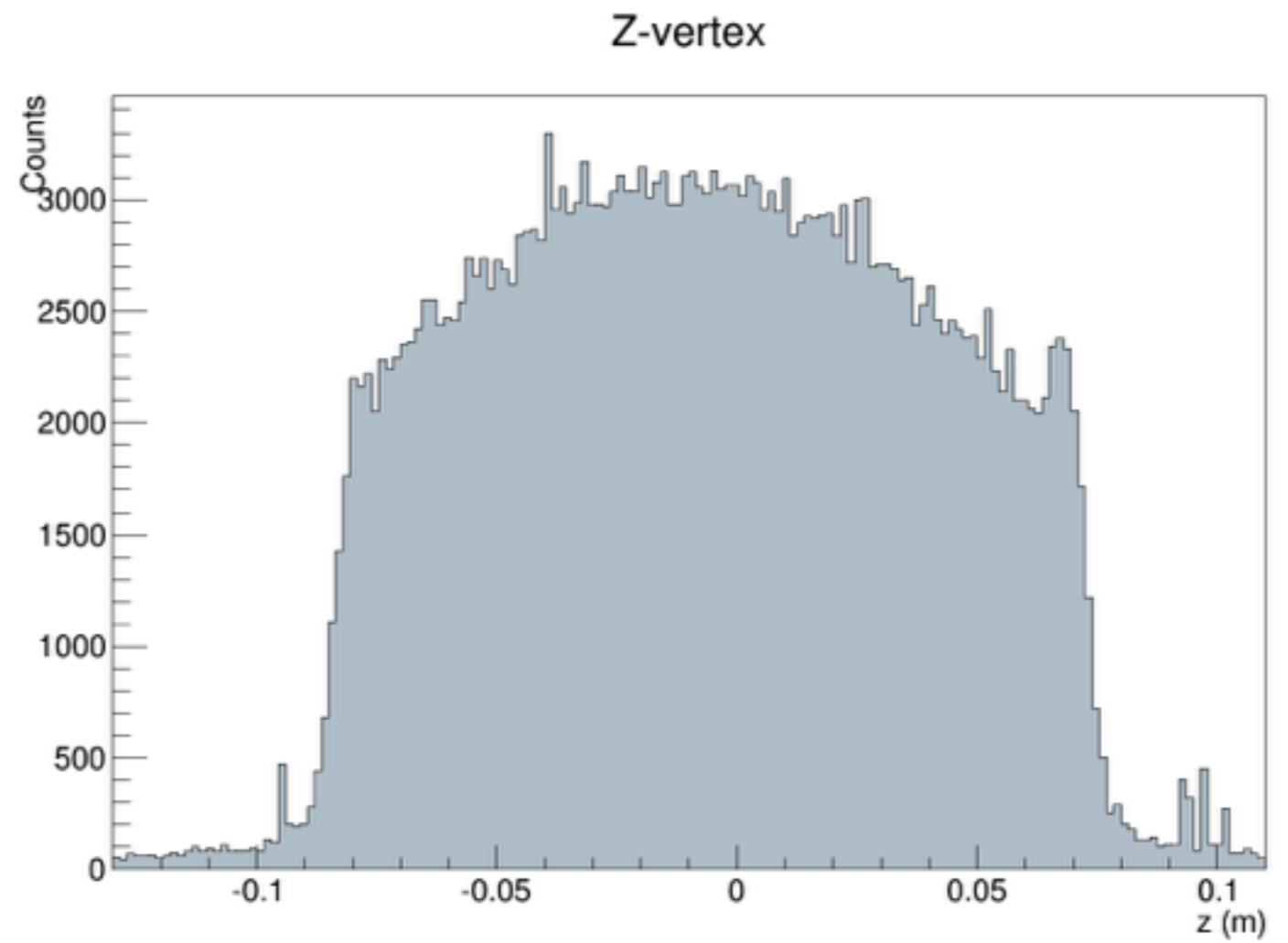
$$\left(\frac{d\sigma}{d\Omega dE}\right)_{DIS} = \frac{N_{acc}}{\mathcal{L}} \times C_{norm}$$

$$C_{norm} = \frac{1}{\eta_{DT} \times \eta_{efficiency} \times \eta_{cuts} \times \eta_{corrections} \times \Gamma_{DIS}}$$

$$\Gamma_{DIS}(r_{cut}) = \frac{N_{acc}(r_{cut})}{N_{total}} \Delta\Omega\Delta E$$

From MC!!

Before cut



After cut

