

New Results on Deuteron Spin Structure function g_1 and its moments at low Q^2 from EG4 Experiment

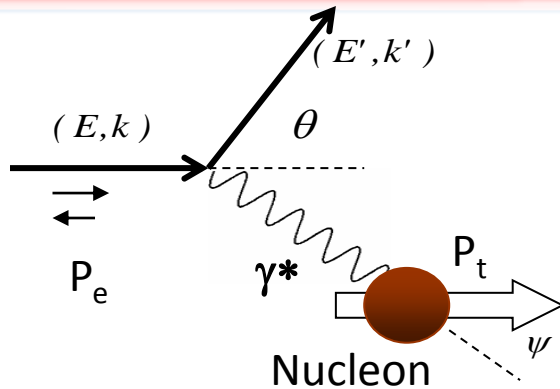
Krishna P. Adhikari

Mississippi State University

For the CLAS collaboration

- Spin structure at Low Q^2 - Formalism and Motivation
- Experimental Setup
- Data Analysis
- Results

Inclusive Lepton Scattering & Structure Functions



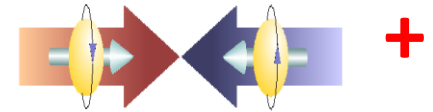
Kinematics

$$\nu = E - E'$$

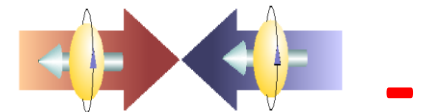
$$Q^2 = 4EE' \sin^2\left(\frac{\theta}{2}\right)$$

$$W^2 = M^2 + 2M\nu - Q^2$$

$$x = \frac{Q^2}{2M\nu}$$



Versus



Cross-section: In the case of a target polarization along the beam:

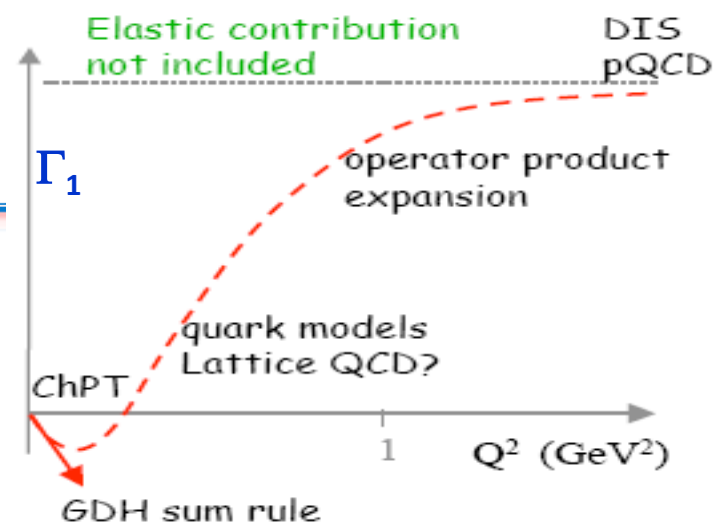
Spin independent

$$\frac{d^2\sigma}{dE' d\Omega} = \sigma_{\text{point}} \left[\frac{2}{M} F_1(Q^2, \nu) \tan^2 \frac{\theta}{2} + \frac{F_2(Q^2, \nu)}{\nu} \right. \\ \left. \pm 2 \tan^2 \frac{\theta}{2} \left[(E + E' \cos \theta) \frac{M^2}{\nu} g_1(Q^2, \nu) - \gamma^2 M^2 g_2(Q^2, \nu) \right] \right]$$

With $\gamma^2 = \frac{Q^2}{\nu^2}$ and, +/- for antiparallel/parallel beam-target polarizations

In the DIS limit, structure functions are directly related to polarized and unpolarized quark distribution functions

Low Q² Motivation - Integrals



Interesting variation with Q²

Hadron → Parton

$$\bar{\Gamma}_1 = \int_0^{x_{th}} g_1(x, Q^2) dx$$

$$\bar{I}_{TT} = \frac{2M^2}{Q^2} \int_0^{x_{th}} \left(g_1 - \frac{2M^2 x^2}{Q^2} g_2 \right) dx \xrightarrow{(Q^2 \rightarrow 0)} -\frac{\kappa^2}{4}$$

κ = anomalous magnetic moment **GDH**

$$\gamma_0 = \frac{16\alpha M^2}{Q^6} \int_0^{x_{th}} \left(g_1 - \frac{2M^2 x^2}{Q^2} g_2 \right) x^2 dx$$

- At low momentum transfers (Q²), one can study the **transition from partonic (quark-gluon) to hadronic (nucleonic) descriptions of Strong interaction by testing & constraining effective theories** based on QCD such as **Chiral Perturbation Theory (χPT)**.

- Test χPT Calculations (Q² <~0.1 GeV²):**

- Relativistic Baryon χPT with Δ, Bernard, Hemmert, Meissner;
- Heavy Baryon χPT, Ji, Kao, Osborne; Kao, Spitzenberg, Vanderhaeghen
- Lensky, Alarcón, Pascalutsa, PRC90, 055202 (2014).
- Bernard, Epelbaum, Krebs, Ulf-G. Meißner, Phys. Rev. D 87, 054032 (2013)

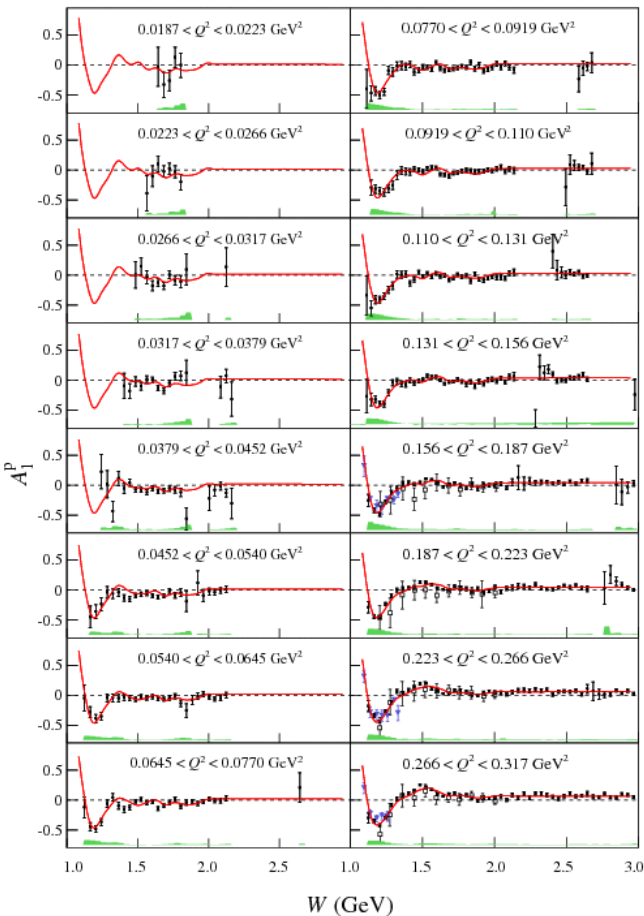
- Test Phenomenological models –** Burkert-Ioffe, Soffer-Terayev, MAID, ..

Some Past Data at Low Q^2 : g_1 from EG1b

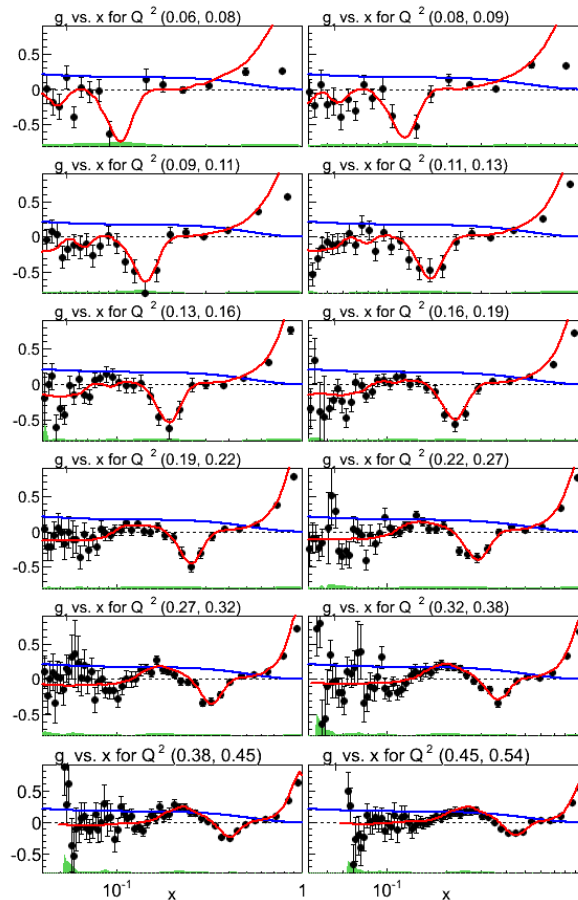
Proton

Deuteron

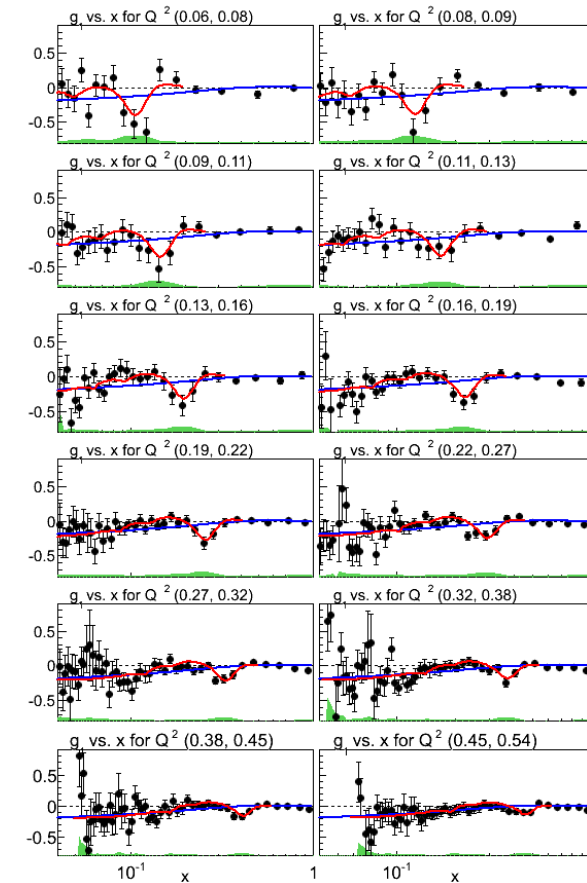
Neutron



Plots courtesy of R. Fersch



Plots courtesy of N. Guler

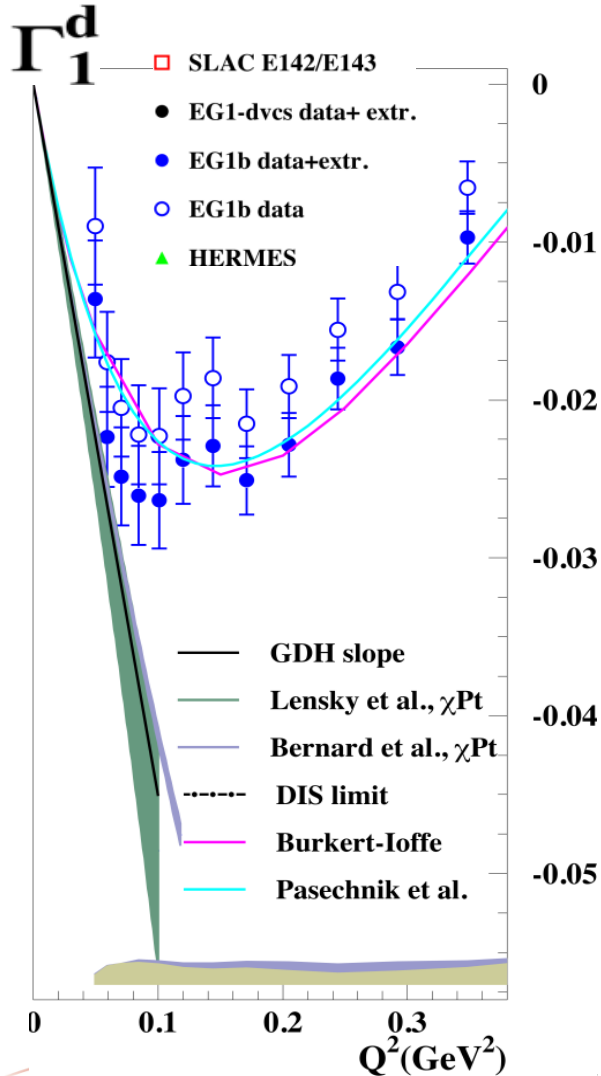


Some Past Data – moments from EG1b

$$\Gamma_1 = \int g_1(x, Q^2) dx$$

$$\gamma_0(Q^2) = \frac{16\alpha M^2}{Q^6} \int_0^{x_0} A_1 F_1 x^2 dx$$

Deuteron results from N. Guler



Shows expected trend toward DIS result at high Q^2

At low Q^2 observed a negative slope as expected from GDH Sum Rule.

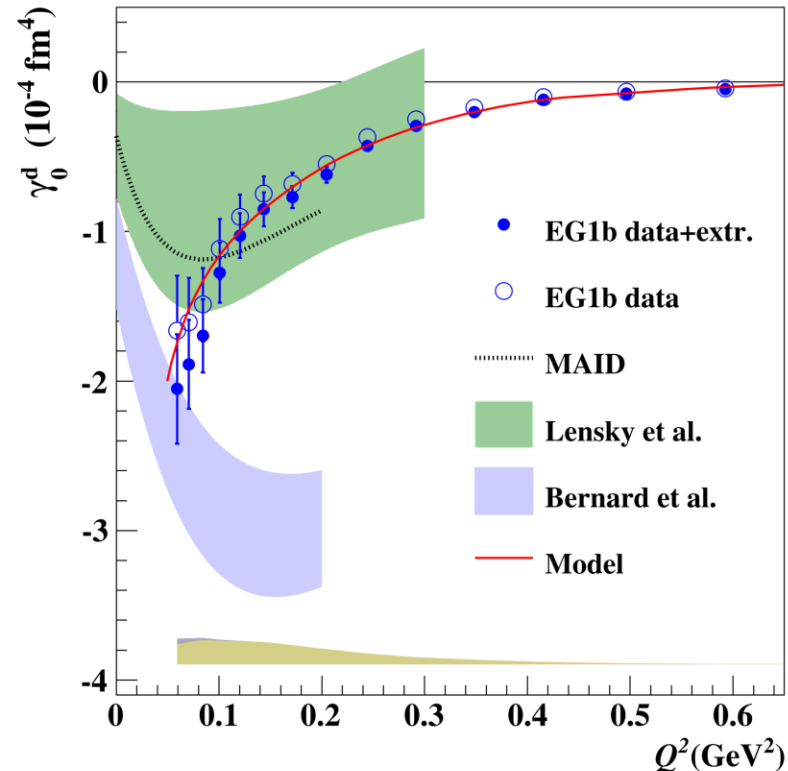
Agreement with χ PT at the lowest points.

Deuteron analysis was repeated with full data set and more extended results were obtained for the Γ_1 at low to moderate Q^2 region.

F_1 obtained from fit to world data

Discrepancy with MAID - mainly due to parametrizations of F_1 .

No agreement with χ PT, even at $Q^2 = 0.05 \text{ GeV}^2$



Hall B CLAS Experiment: EG4

“EG4” - Similar conditions to EG1

- Kinematical coverage extended down to $Q^2 = 0.015 \text{ GeV}^2$ using
 - lower beam energies -1.0, 1.3, 2.0, 2.3, 3.0 GeVs
 - Target at $v_z = -101 \text{ cm}$
 - electron outbending CLAS configuration
 - a new Cerenkov detector in S6

•DNP polarized Targets:

Longitudinally polarized, solid $^{15}\text{NH}_3$ ($P \sim 85\%$) & $^{15}\text{ND}_3$ ($P \sim 35\%$)

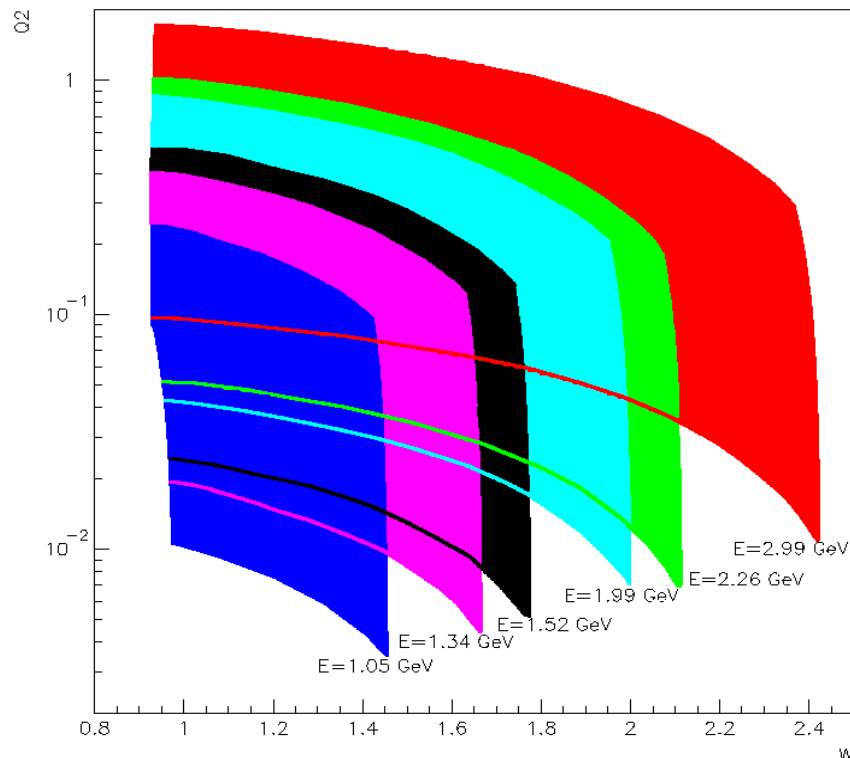
Measurement of g_1 at low Q^2

- Test of χPT as $Q^2 \rightarrow 0$
- Measured Absolute XS differences
- Goal : **Extended GDH Sum Rule** on **Proton, Deuteron**
- Ran in 2006

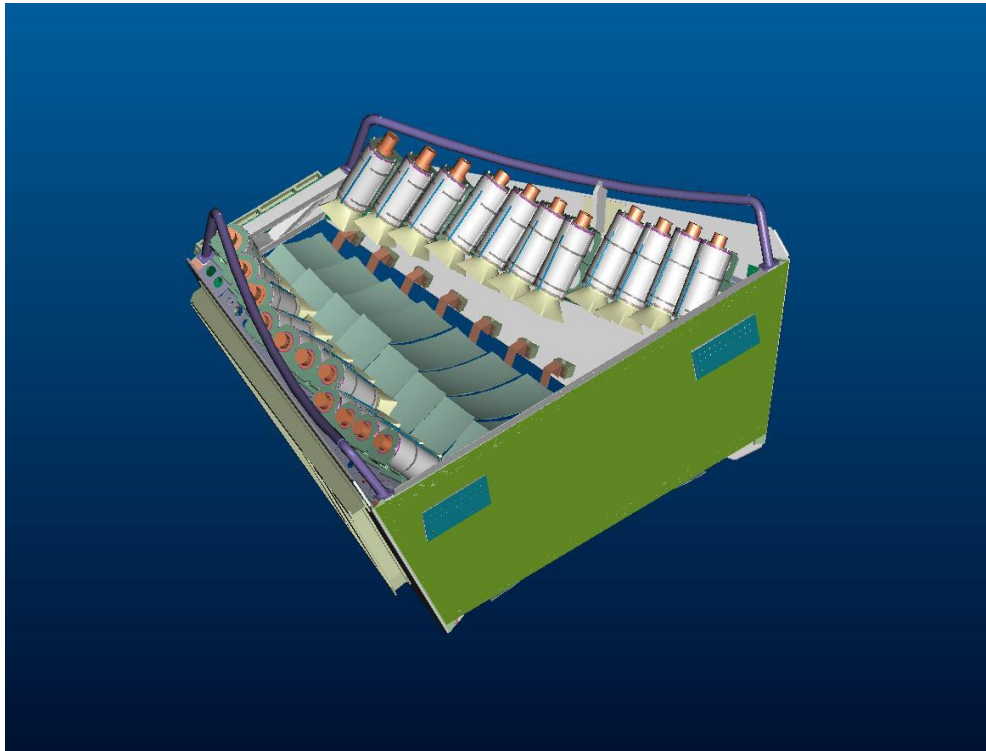
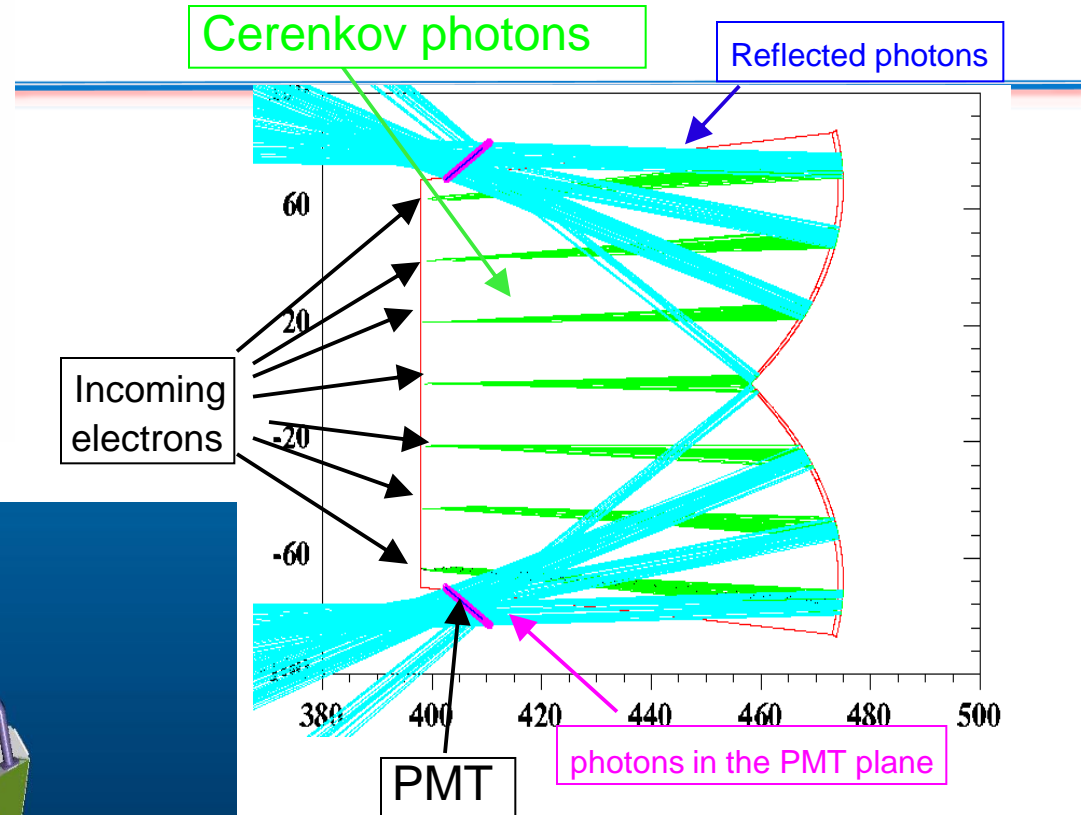
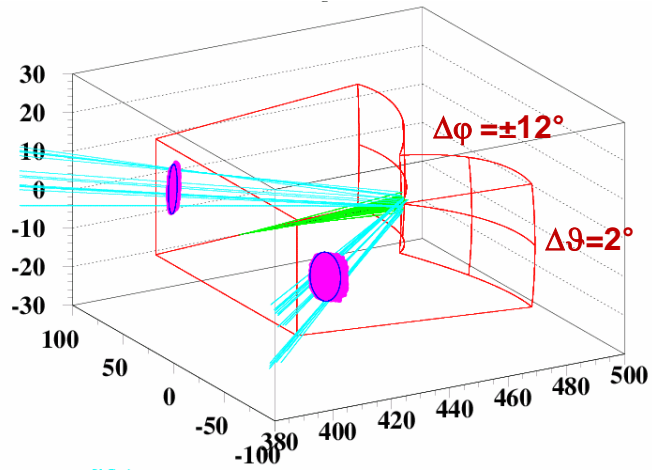
Spokespersons:

NH_3 : M. Battaglieri, A. Deur, R. De Vita, M. Ripani

ND_3 : A. Deur, G. Dodge, K. Slifer



New Cerenkov Counter in the 6th sector (INFN Genoa)



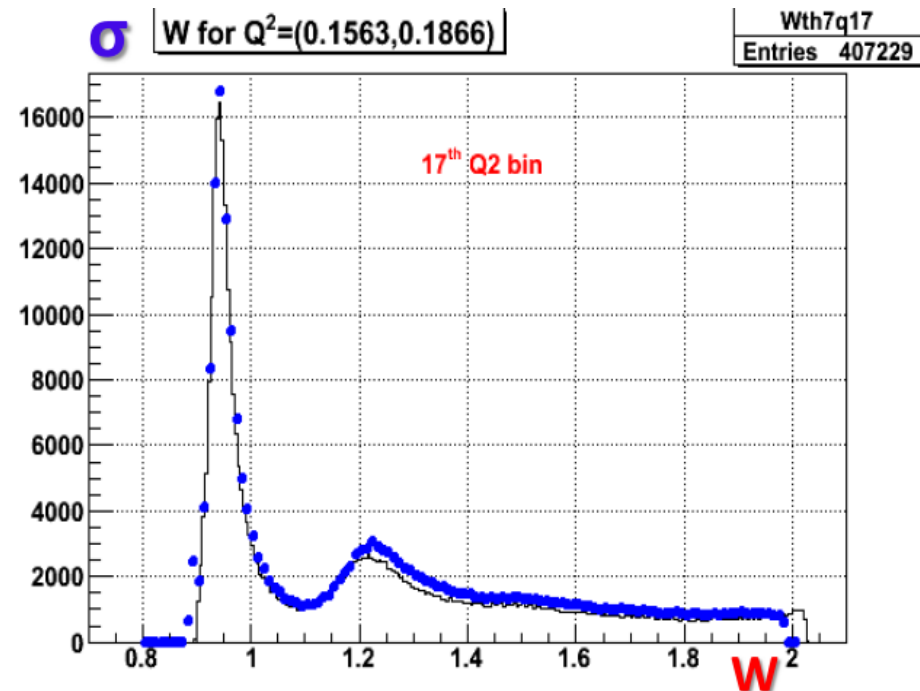
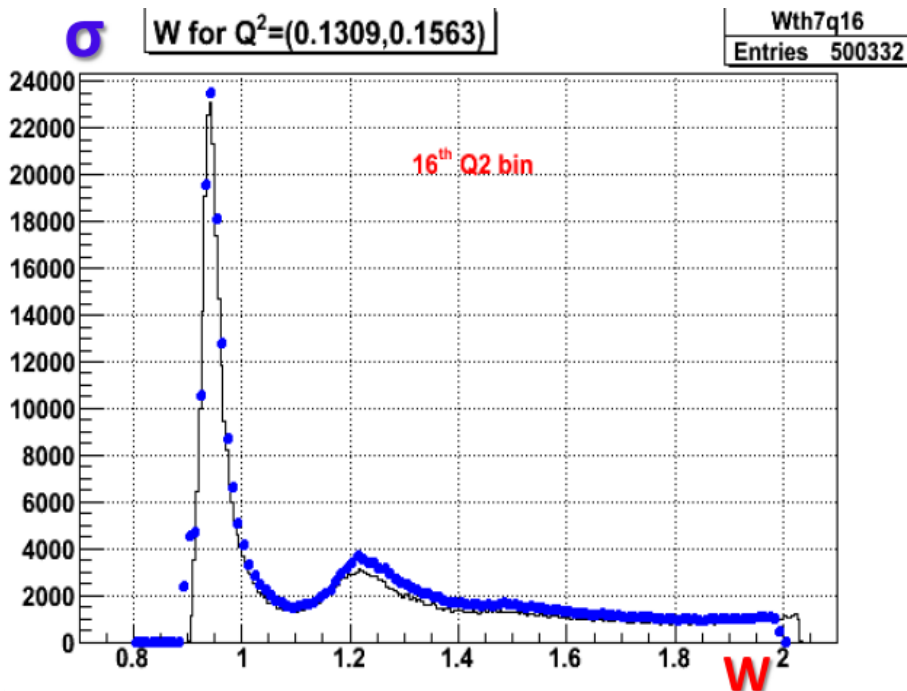
- Same gas ($n=1.00153$) and DAQ as before
- 11 modules (15 before) each with
 - 2 spherical mirrors ($R=140$ cm)
 - $\Delta\phi = \pm 12^\circ$ $\Delta\theta = 2^\circ$
 - 2 PMTs
- Only one reflection

Things done in this Pass2 Analysis

- Pass2 reconstruction (slight changes in RECSIS configuration)
- Repeating the simulation (slight changes in both GSIM and RECSIS configurations)
- Tracking correction (using method developed by Peter Bosted) and momentum correction.
- CC-inefficiency correction
- Redeveloping the following cuts
 - CC-cuts
 - Fiducial cuts
 - Vertex-Z cuts
 - EC-cuts
- Extraction of g_1 , A_1F_1 and moments.

Simulation of Deuteron Data

- **RCSLACPOL** program for **Radiated Polarized Cross-sections** for event generator
 - Uses standard approach by **Shumeiko & Kuchto** (*NP B219, 412 (1983)*) and **Mo & Tsai** (*RMP 41, 205 (1969)*), including **external radiation in the target**.
 - **Updated with latest models** (world data fit) on polarized and un-polarized structure functions over a wide kinematic range.
 - **Folding algorithm** by **Melnitchouk & Kahn** (*PRC 79 (3), 035205*) for **deuteron structure functions**.
 - **Extensively tested & used** – at **SLAC** (E142/143/154/155/155x) & **Jlab** (EG1a/b).
- **GSIM (& GPP)** for CLAS simulation and **RECSIS** for Data reconstruction



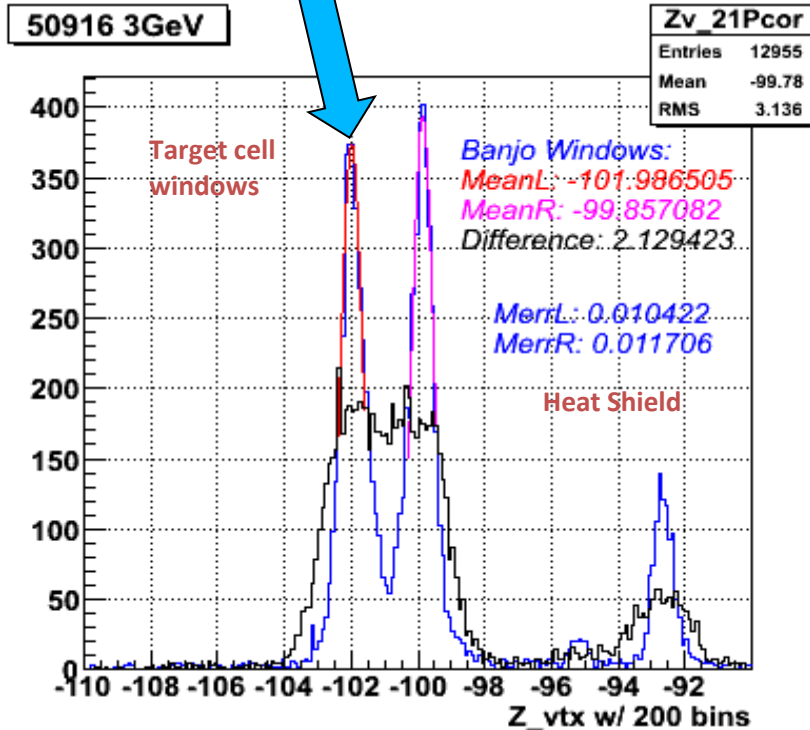
Data Analysis: Kinematic Corrections

- Tracking correction:

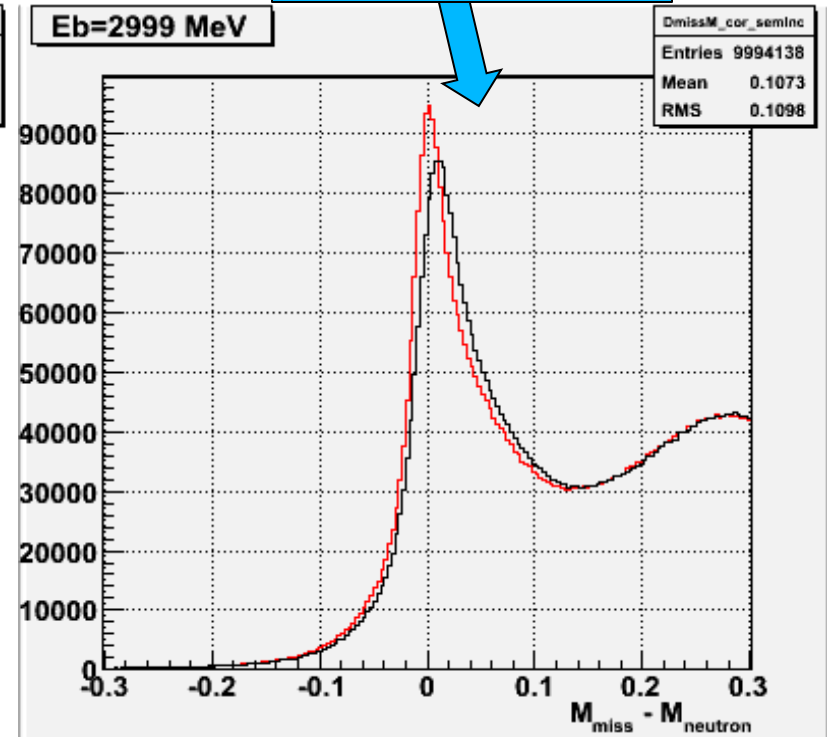
- Swims particles through target field to DC, uses direction cosines at DC and the beam position (x,y) from raster magnets.
- Improves angles and v_z .

- Energy loss correction
- Momentum correction.

Z-Vertex distribution of scattered electrons from an Empty target run



Missing mass (minus M_{neutron}) for $(ep \rightarrow e\pi^+X)$

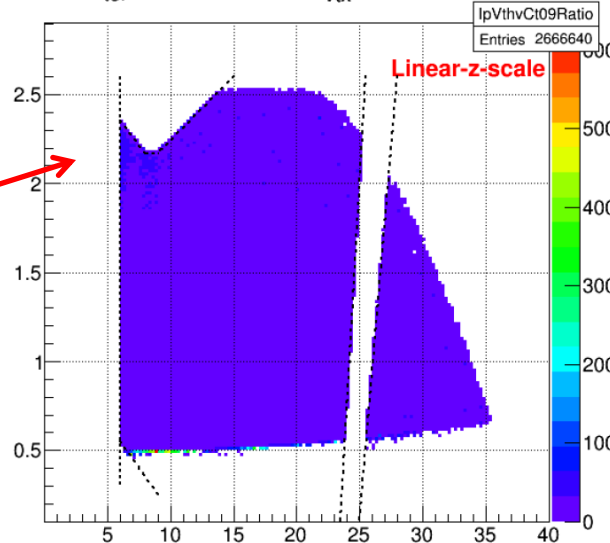


Fiducial cuts

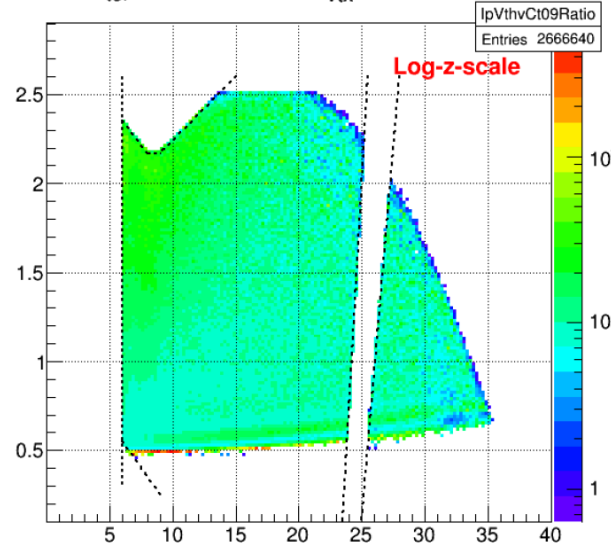
Cuts based on comparing regular run data with the data from EC-calibration runs (with no CC in trigger)

Rejects highly CC-inefficient regions.

$I_{\text{tor}}/(p*2250)$ vs θ_{vtx} (Exp/Sim)

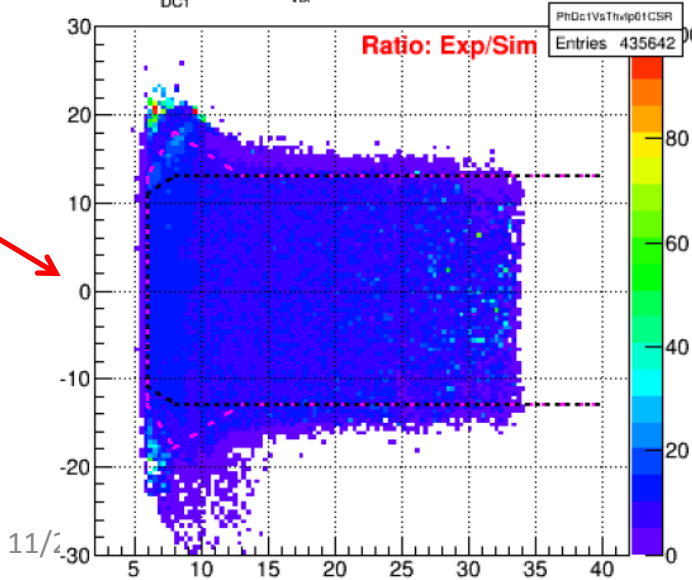


$I_{\text{tor}}/(p*2250)$ vs θ_{vtx} (Exp/Sim)

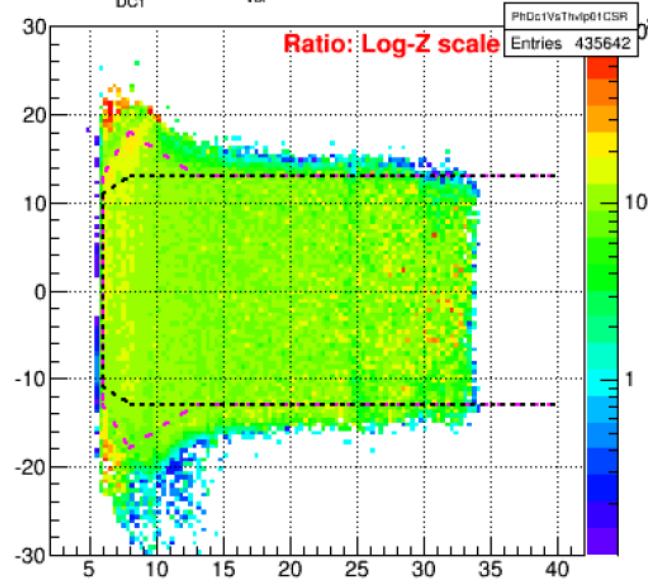


Cuts based on comparing experimental and simulated data.

$\phi_{\text{DC1}}(\text{pos})$ vs θ_{vtx} in $I_{\text{tor}}/(p*2250)=(0.9,1.3)$

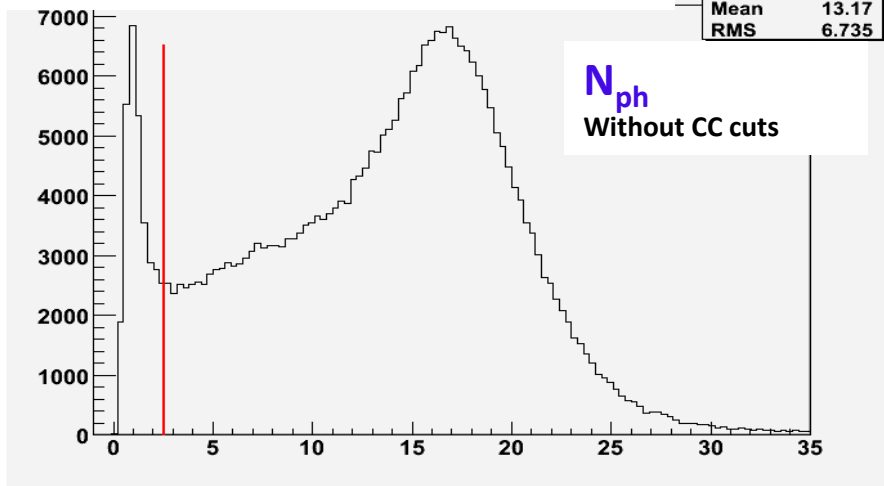


$\phi_{\text{DC1}}(\text{pos})$ vs θ_{vtx} in $I_{\text{tor}}/(p*2250)=(0.9,1.3)$

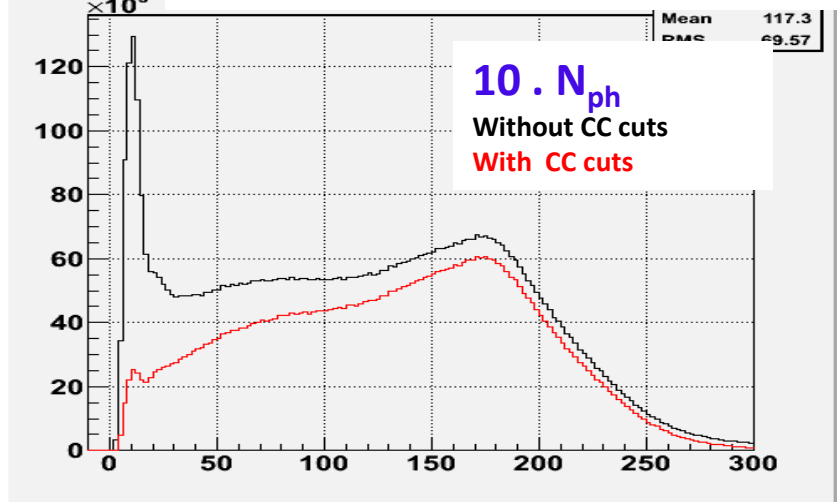


More Particle ID Cuts

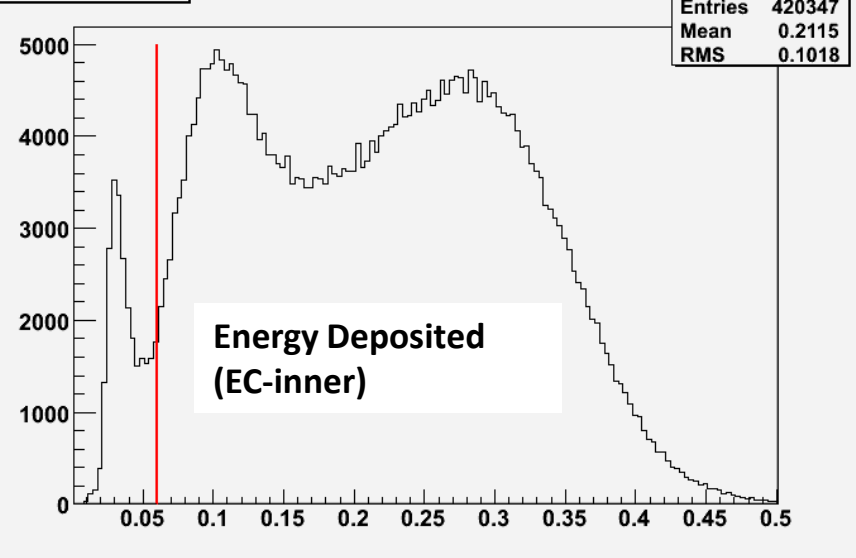
Number of photoelectrons



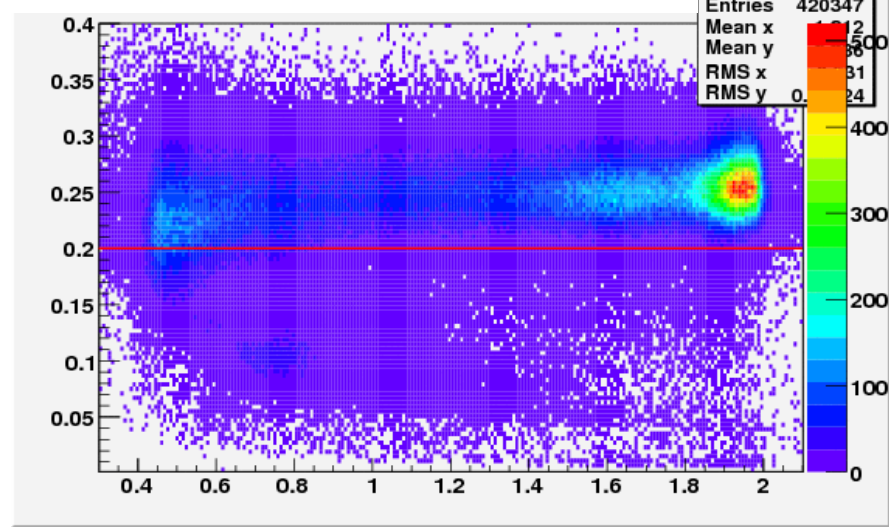
all_nphe Geometry and time matching CC cuts



ec_ei[ec[0]-1]

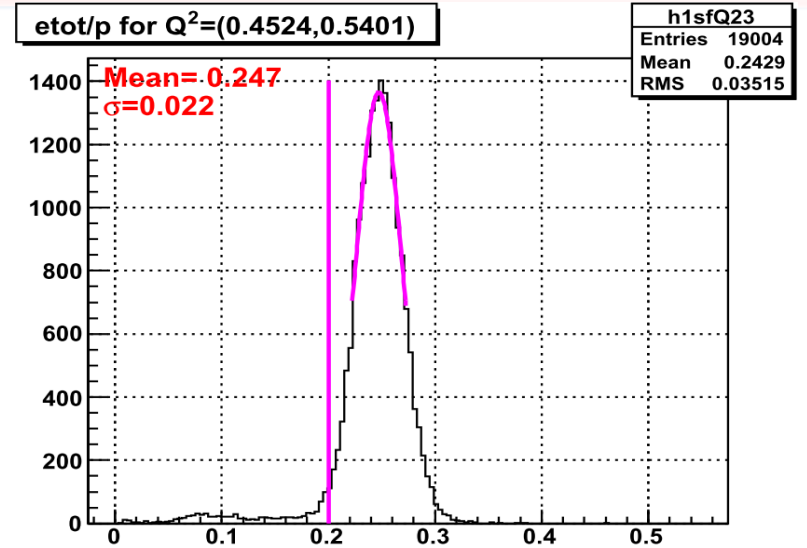
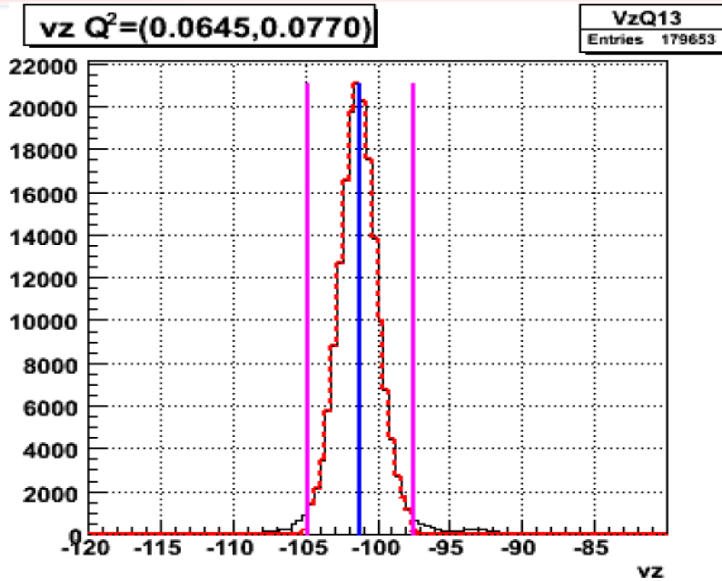


EM-Calorimeter-sampling fraction

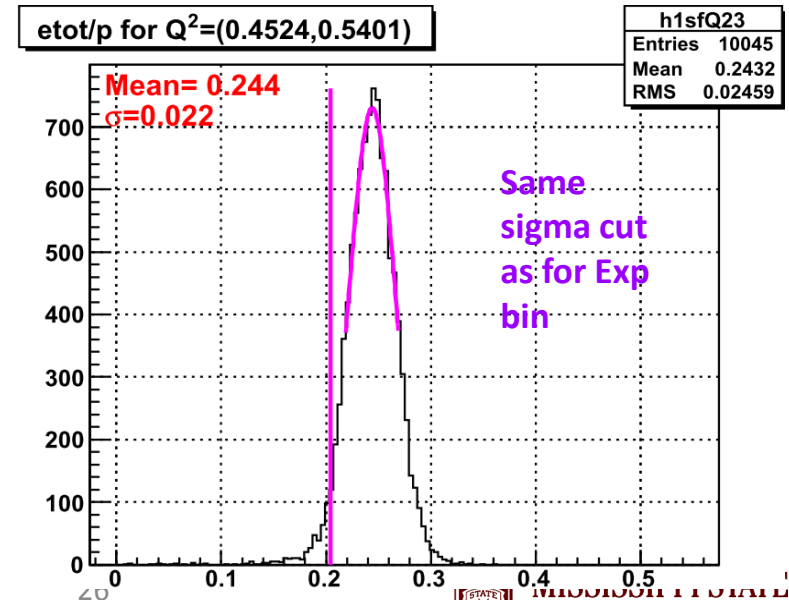
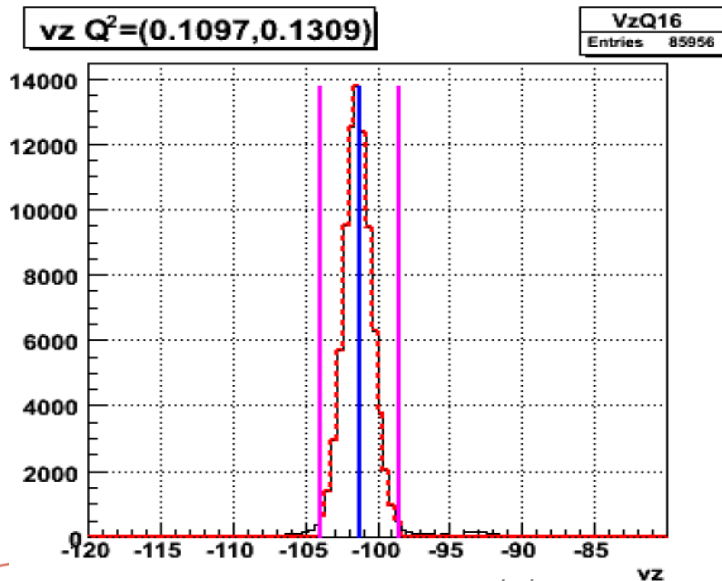


Q² dependent cuts on Z-vertex & EC-sampling

Data

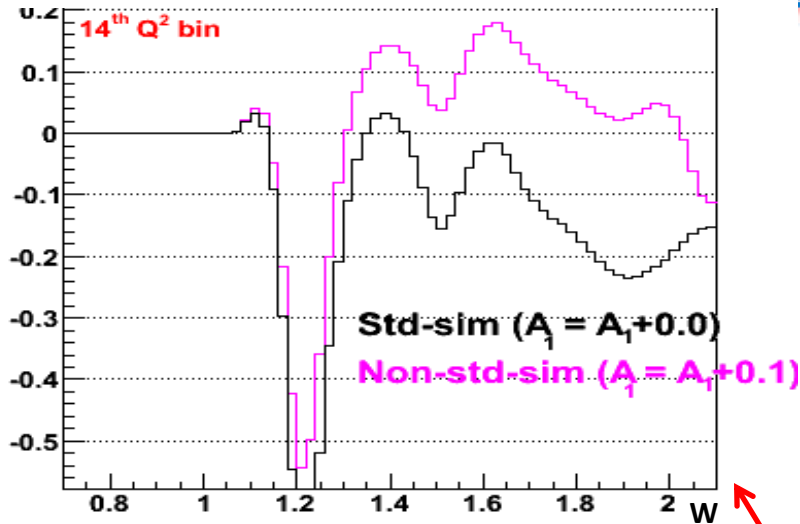


Sim.

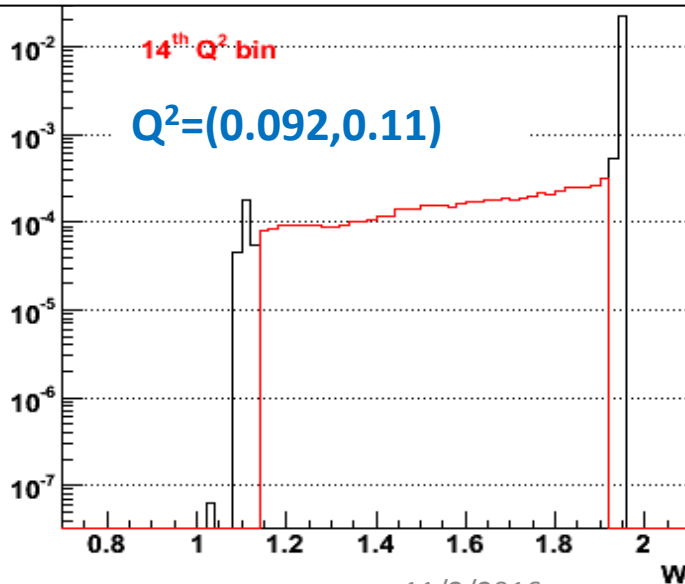


Method for g_1 calculation

Model g_1 in $Q^2=(0.092,0.11)$

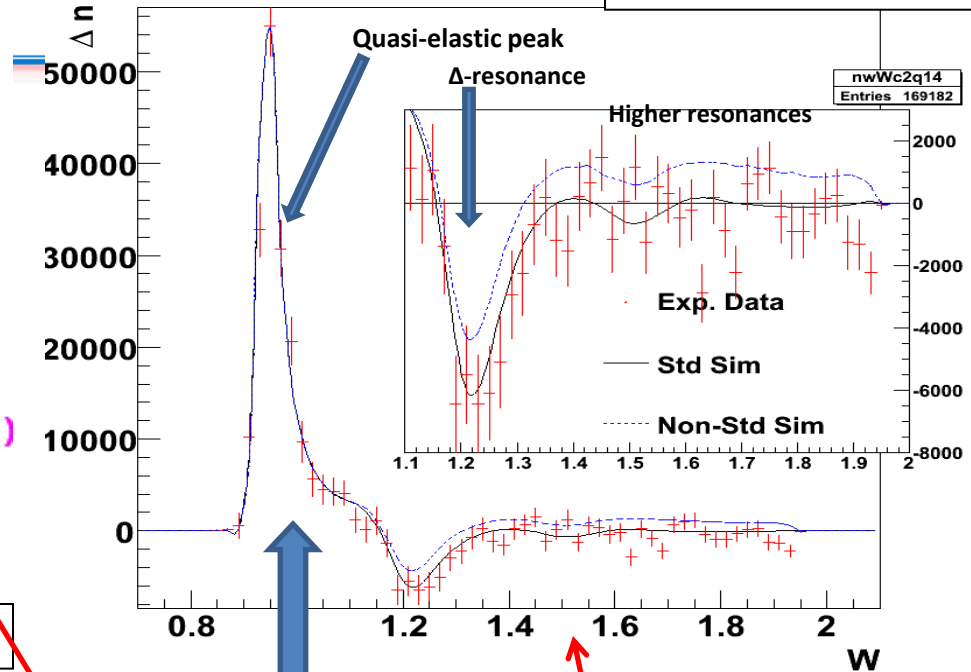


$B(W, Q^2) = \Delta g_1 / \Delta(\Delta N)$ (proportionality factor)



$\Delta n = (n^+ - n^-)$

$Q^2=(0.092,0.11)$

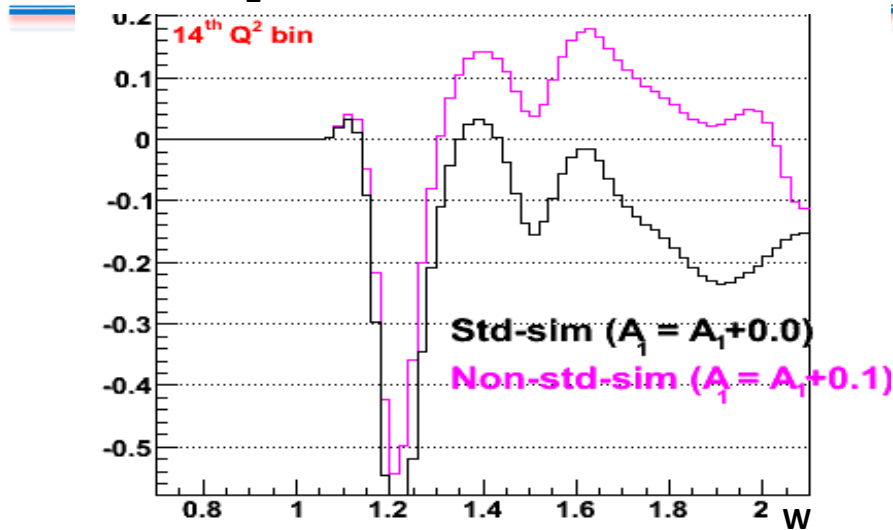


First, simulated data was normalized w.r.t data by comparing in q.e. region.

$$g_1^{extr}(W, Q^2) = g_1^{Standard} + \frac{\Delta n^{data}(W, Q^2) - \Delta n^{standard}(W, Q^2)}{B(W, Q^2)}$$

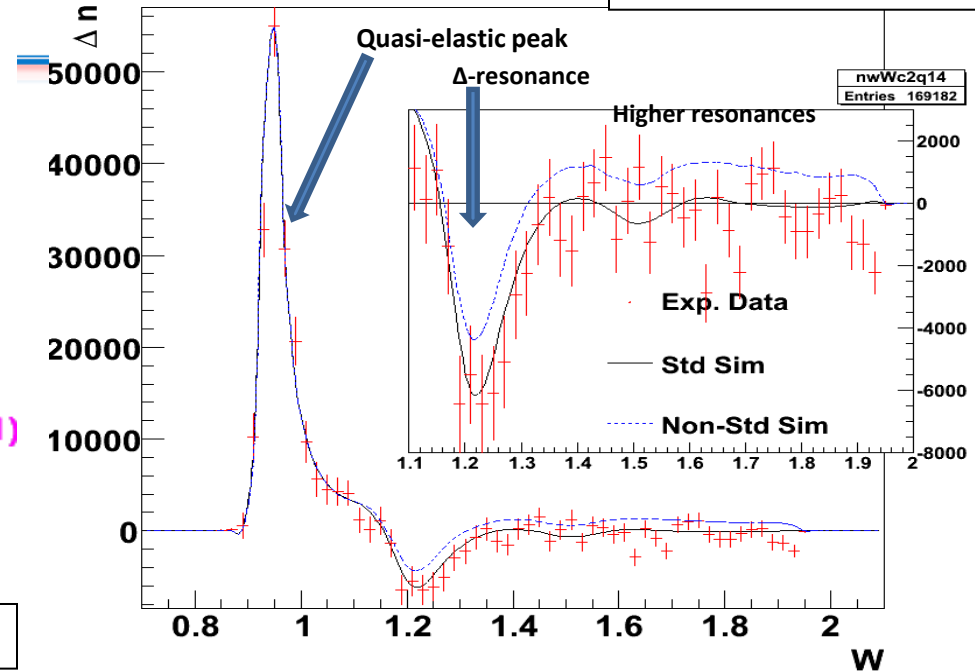
Method for g_1 calculation

Model g_1 in $Q^2=(0.092,0.11)$

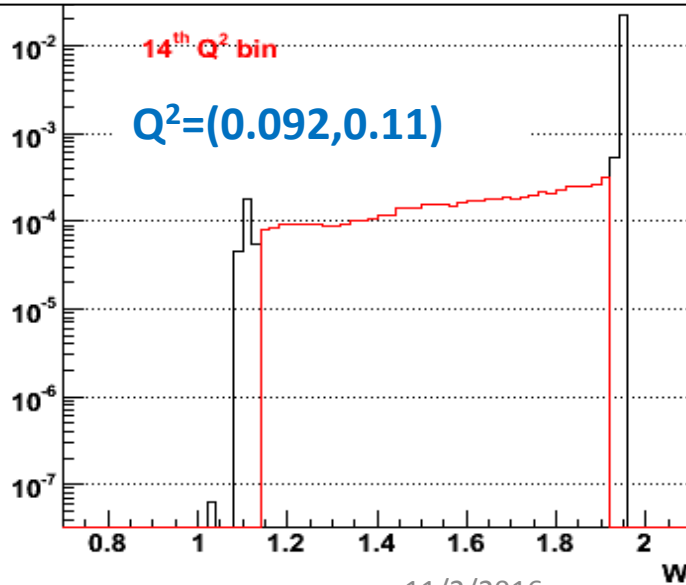


$$\Delta n = (n^+ - n^-)$$

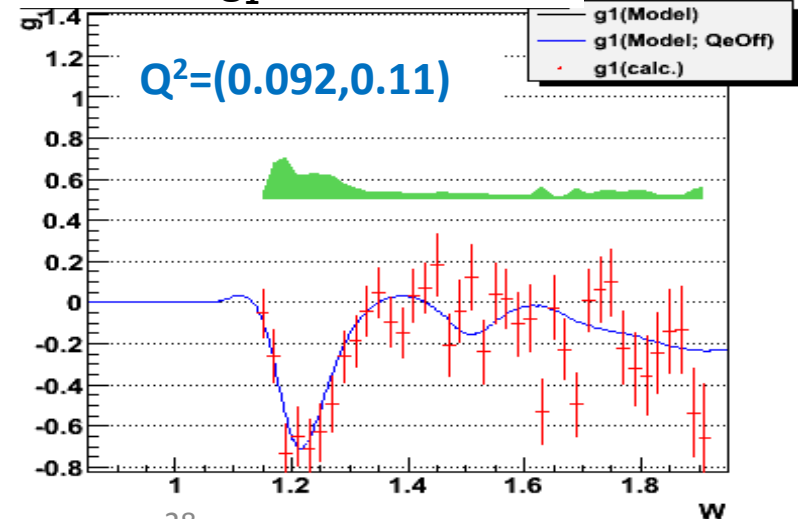
$$Q^2=(0.092,0.11)$$



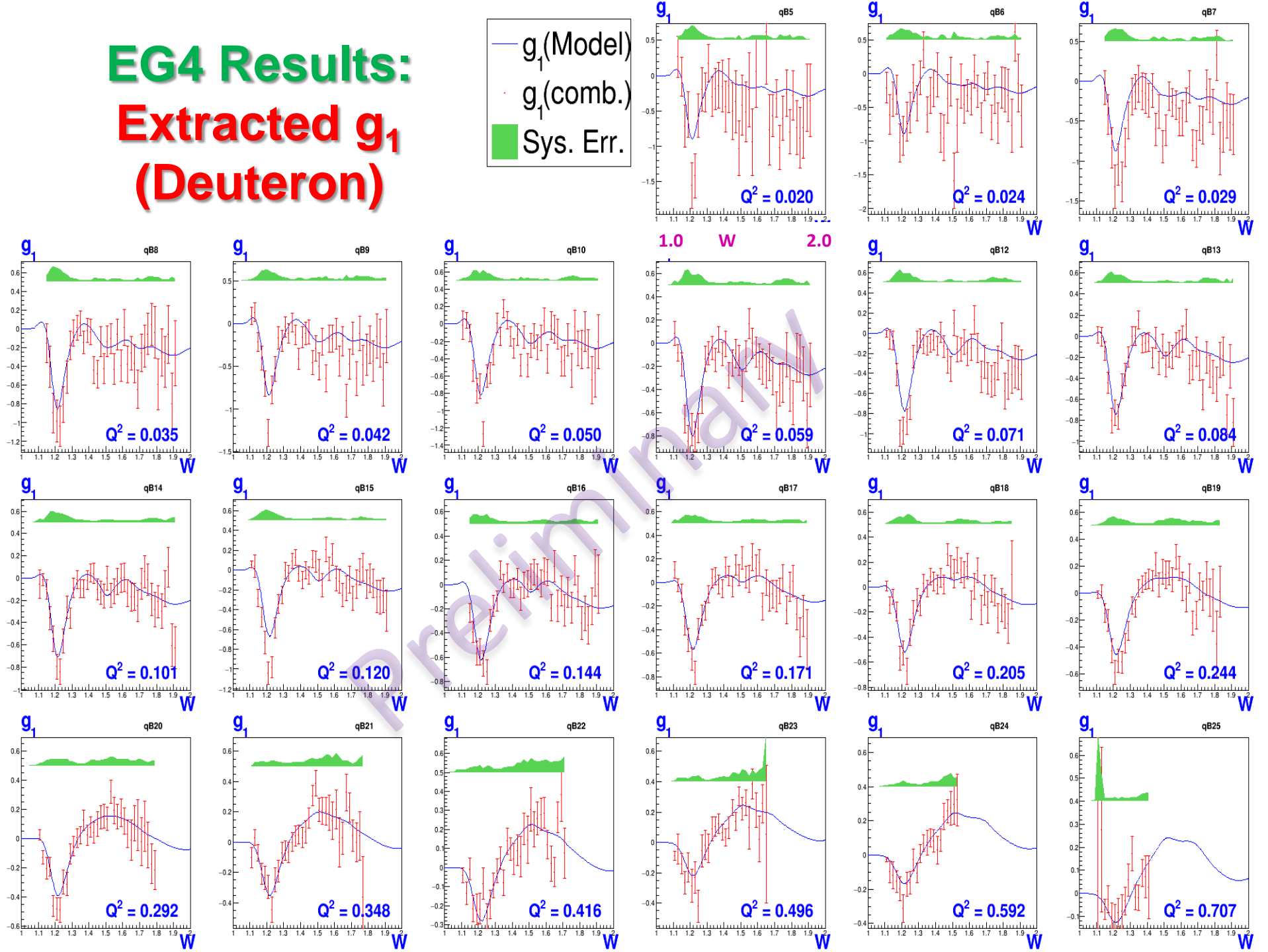
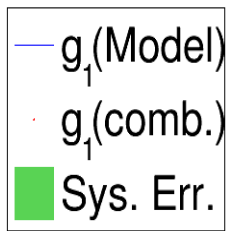
$$B(W, Q^2) = \Delta g_1 / \Delta(\Delta N) \text{ (proportionality factor)}$$



Calculated g_1



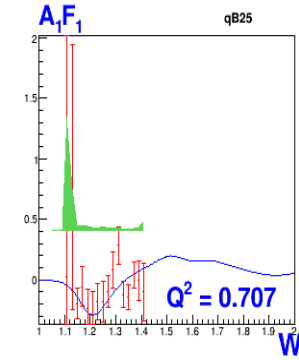
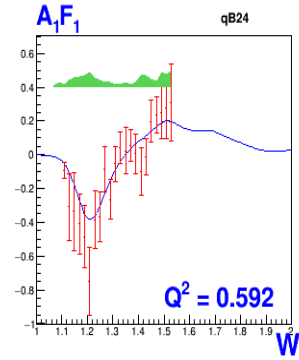
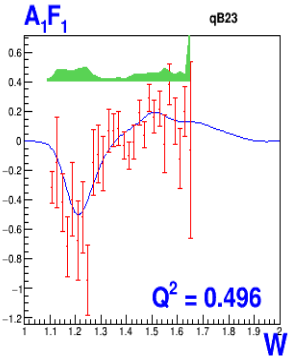
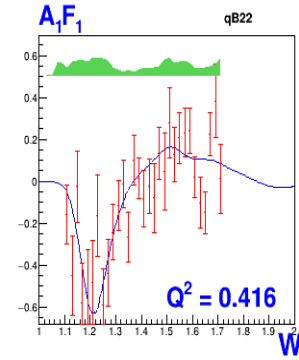
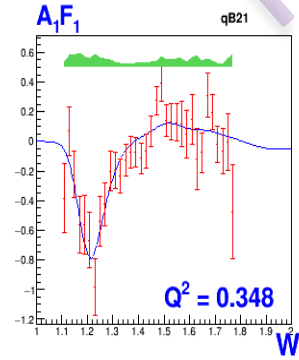
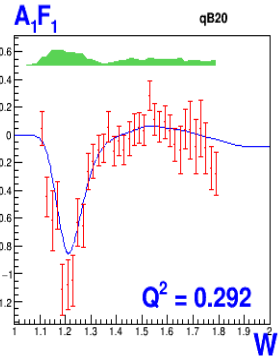
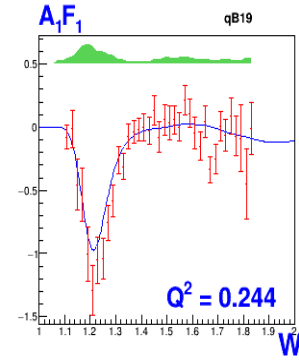
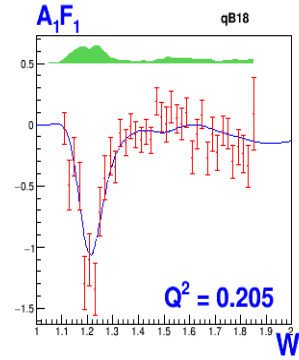
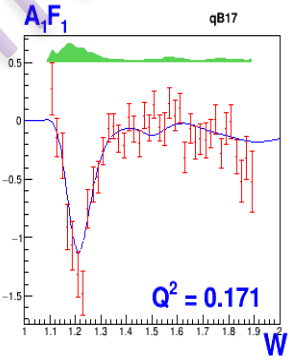
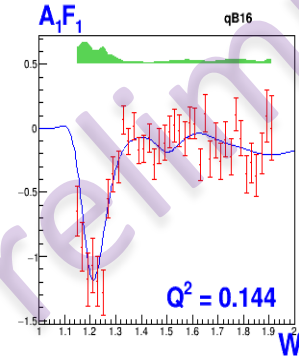
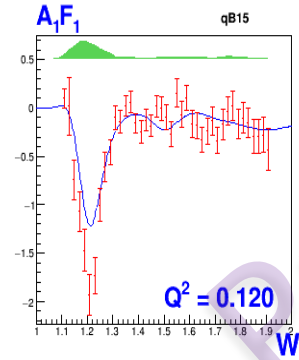
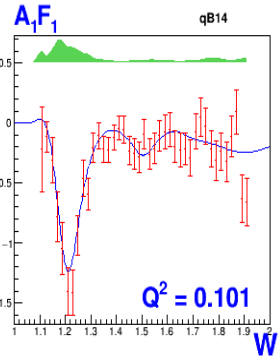
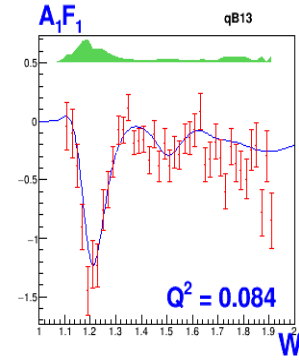
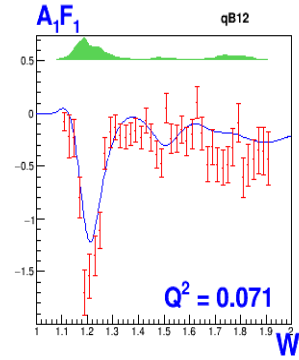
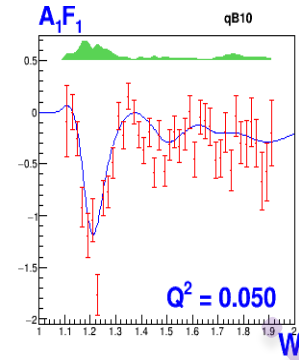
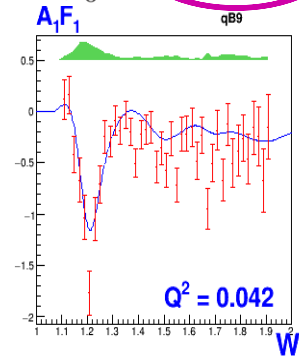
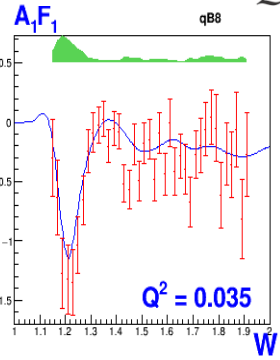
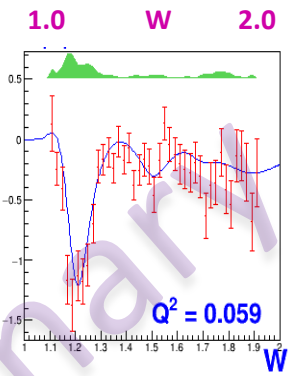
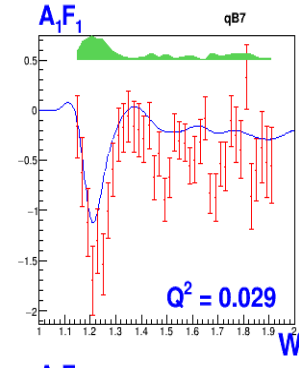
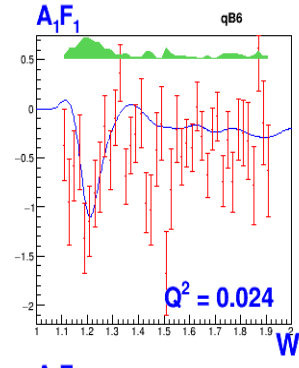
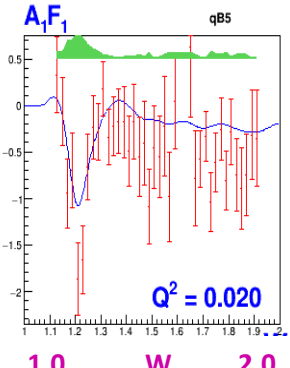
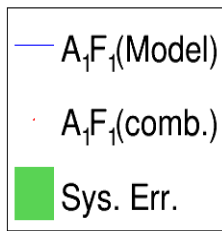
EG4 Results: Extracted g_1 (Deuteron)



$$A_1 F_1 = g_1 - (4M^2 x^2 / Q^2) g_2$$

$$\bar{I}_{TT} = \frac{2M^2}{Q^2} \int_0^{x_0(Q^2)} dx A_1 F_1(x, Q^2)$$

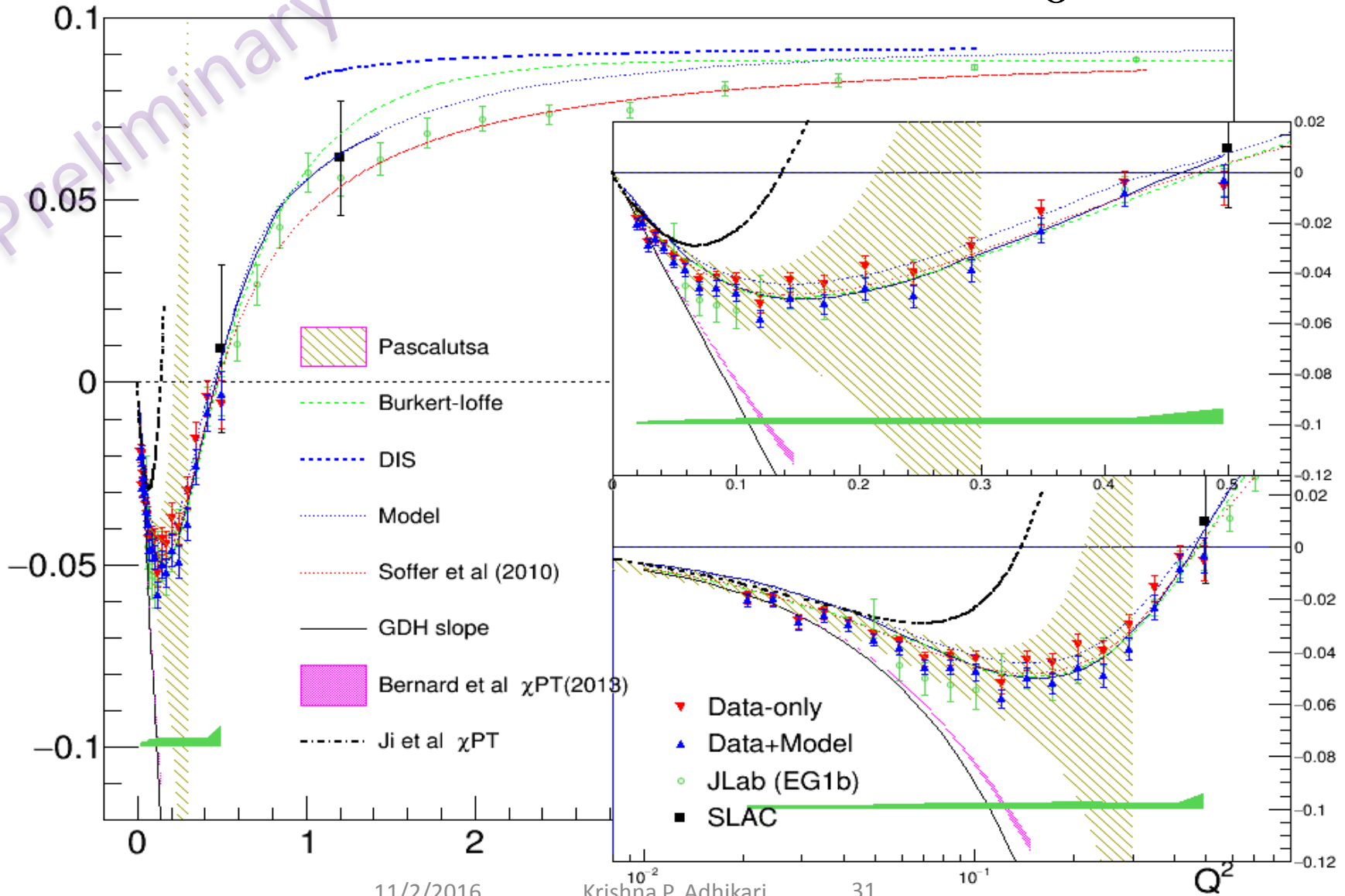
$$\gamma_0(Q^2) = \frac{16\alpha M^2}{Q^6} \int_0^{x_0} A_1 F_1(x, Q^2) x^2 dx$$



Results: First Moment

$$\Gamma_1^d$$

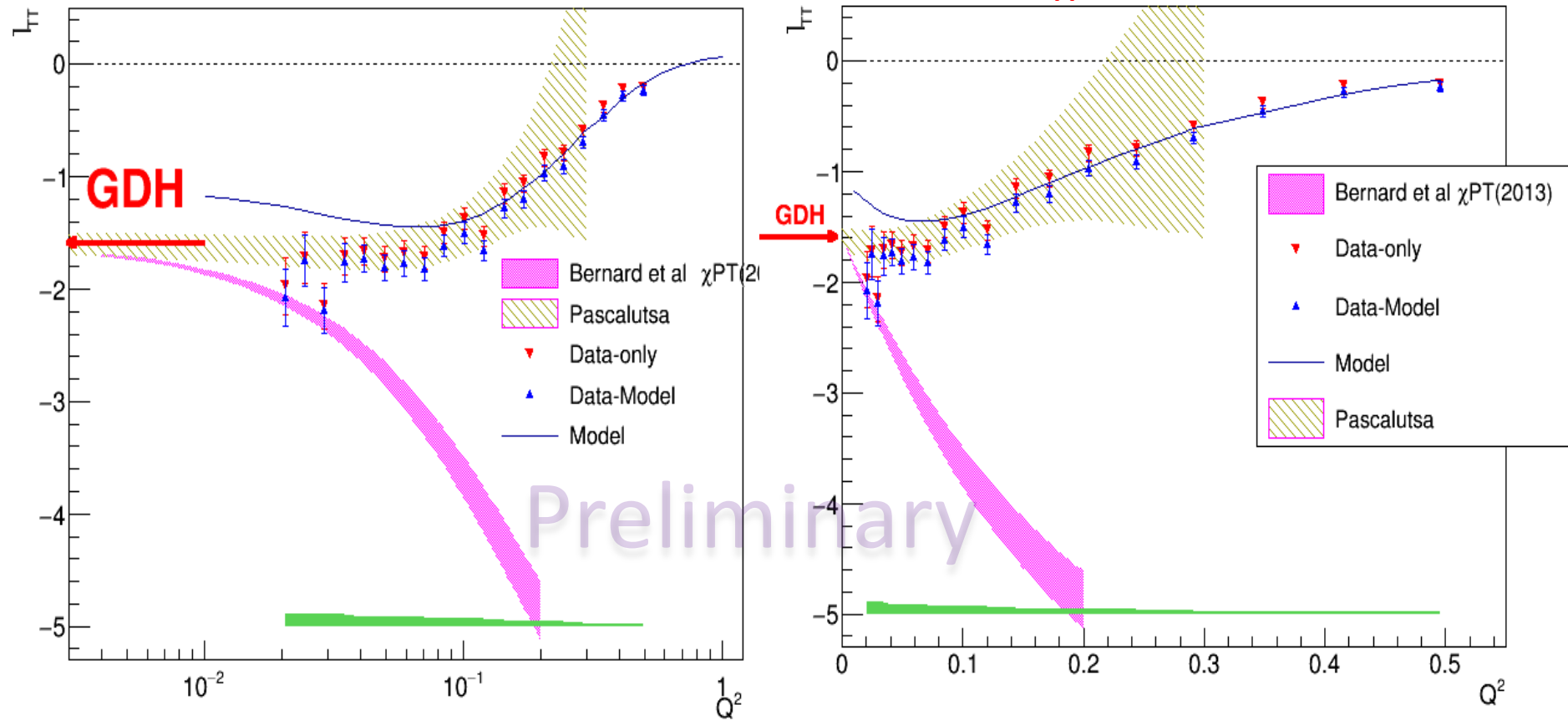
$$\bar{\Gamma}_1 = \int_0^{x_{th}} g_1(x, Q^2) dx$$



Results: Generalized GDH integral (I_{TT})

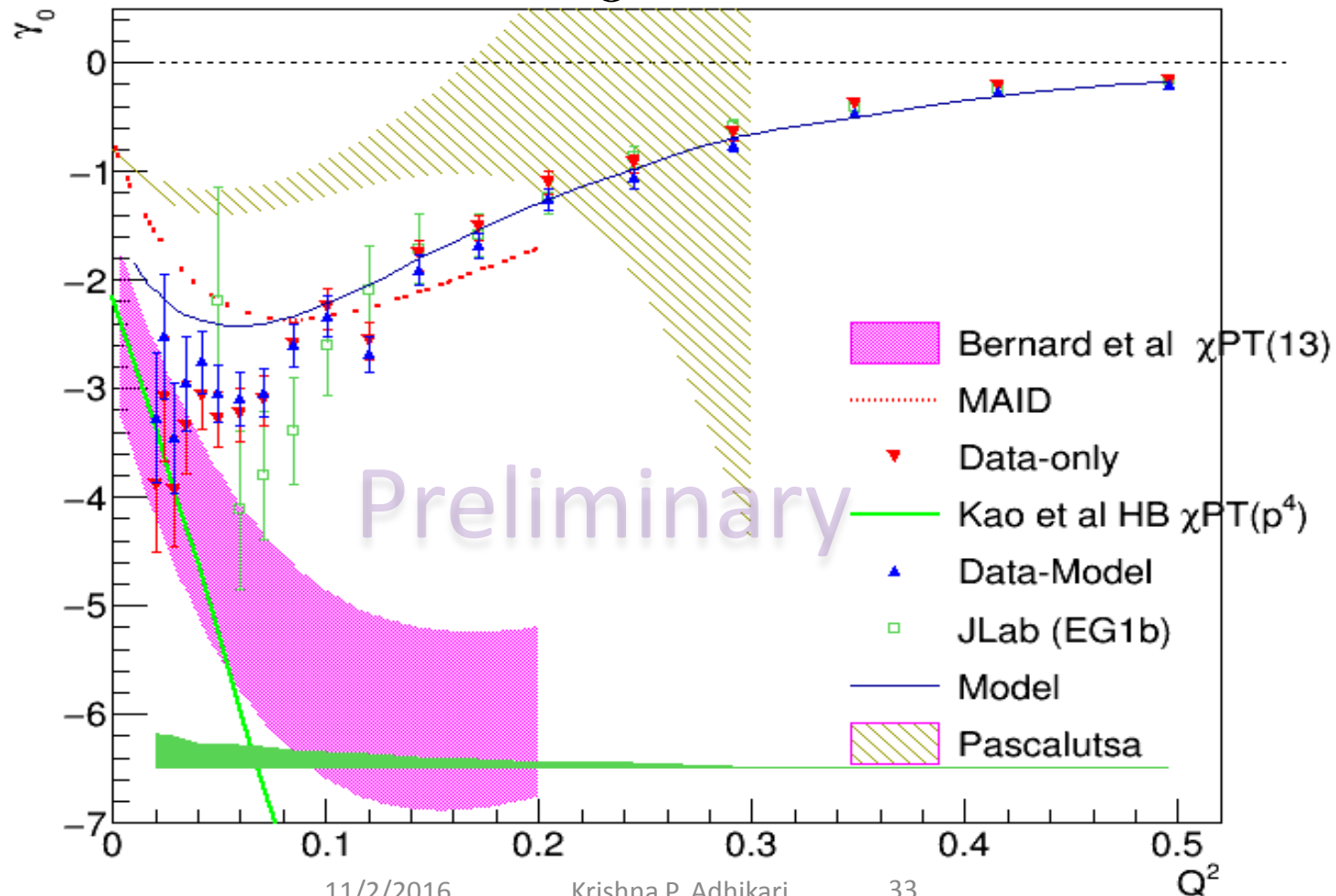
$$\bar{I}_{TT} = \frac{2M^2}{Q^2} \int_0^{x_{th}} \left(g_1 - \frac{2M^2 x^2}{Q^2} g_2 \right) dx \xrightarrow{(Q^2 \rightarrow 0)} -\frac{\kappa^2}{4} \text{GDH}$$

Generalized GDH integral (I_{TT})



Results: Generalized Forward Spin polarizability (γ_0)

$$\gamma_0 = (16\alpha M^2 / Q^6) \int_0^{x_{th}} \left(g_1 - \frac{2M^2 x^2}{Q^2} g_2 \right) x^2 dx$$



Summary

- A wealth of new low Q^2 data on the nucleon spin structure in the non-perturbative regime has been produced in Hall A, and B at Jefferson Lab as part of a broad spin physics program
- Measurements of moments of g_1 provide strong tests of χ PT.
- Low Q^2 analysis on polarized deuteron target data of EG4 experiment in Hall B are in the final stages.
- At very low Q^2 the EG4 results show good agreement with other Jlab results and with available χ PT predictions.
 - Exception – Lensky-Pascalutsca calculation on γ_0
- Proton results and Neutron data extraction from EG4's deuteron and proton data is expected in near future.
- Deuteron analysis is in final stages and first draft of the analysis note will go into circulation next week.
- Ongoing 6 GeV data analyses and the future 12 GeV JLab measurements at low Q^2 are expected to shed more light on the nucleon spin structure in the non-perturbative region.

Thank you!

Sources of Systematic errors

- 1) **Overall scaling factor** (Mostly due to PbPt and target length)
- 2) **Radiative corrections**
- 3) **Model Uncertainties**
- 4) Contaminations of polarized H in the target and π^- in the scattered electrons.
- 5) Beam energy measurement
- 6) CC-efficiency estimation
- 7) e^+e^- pair symmetric contamination

Estimation of Systematic errors

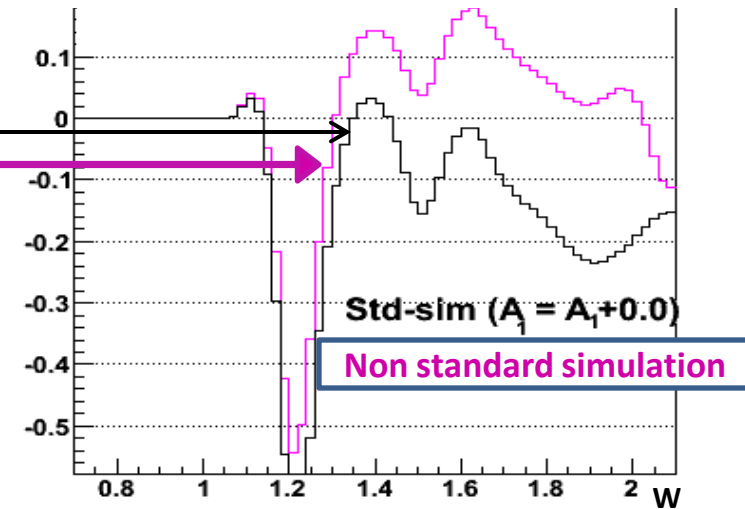
One Example:

Model Uncertainty Contribution

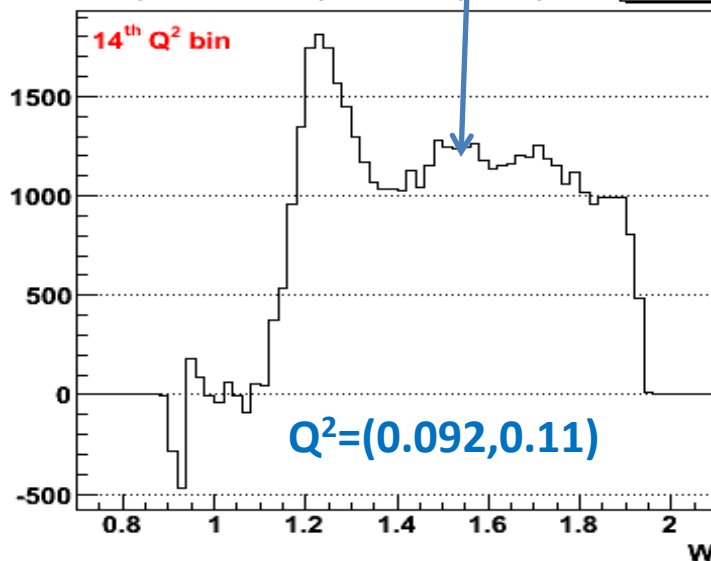
e.g., change $A_1/A_2/F_1/R$ within fit errors

$$\Delta g_1^i(W, Q^2) = g_1^{standard} + \frac{\Delta n^i - \Delta n^{standard}}{B(W, Q^2)} - g_1^i$$

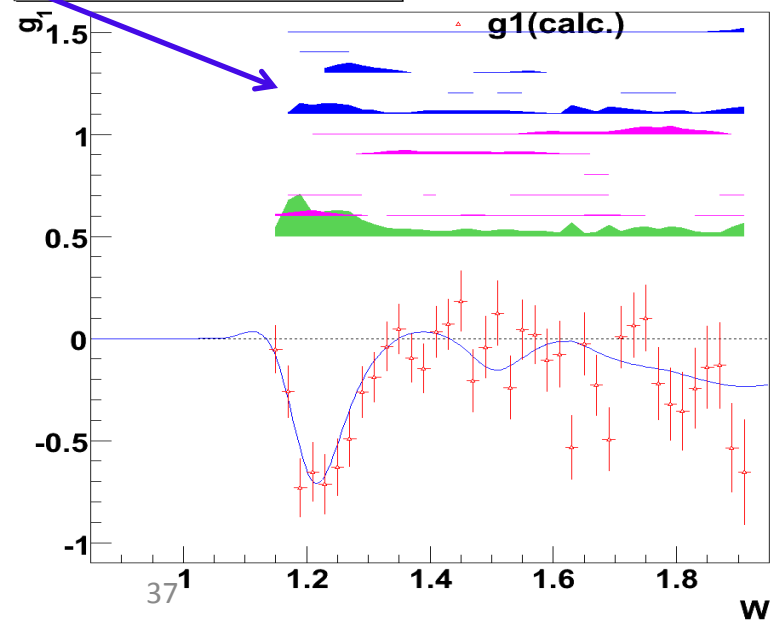
Model g_1 in $Q^2=(0.092,0.11)$



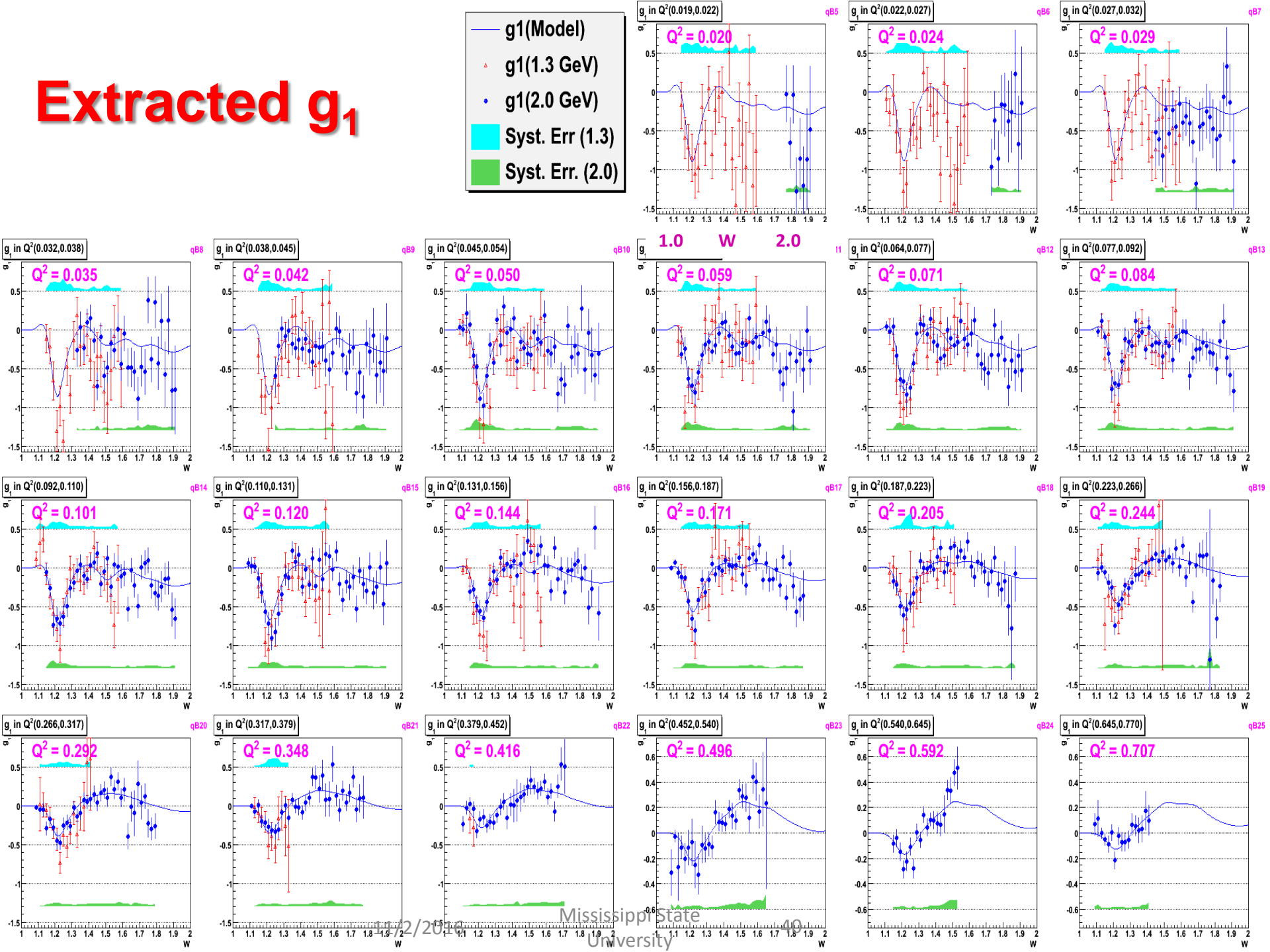
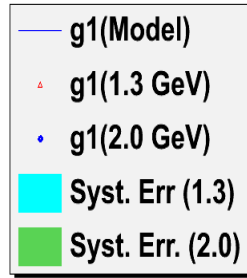
ΔN (non-std) - ΔN (std) DDnSSvWq14
Entries 70



g_1 for $Q^2(0.092,0.110)$ — $g_1(\text{Model})$ 14th Q^2 bin



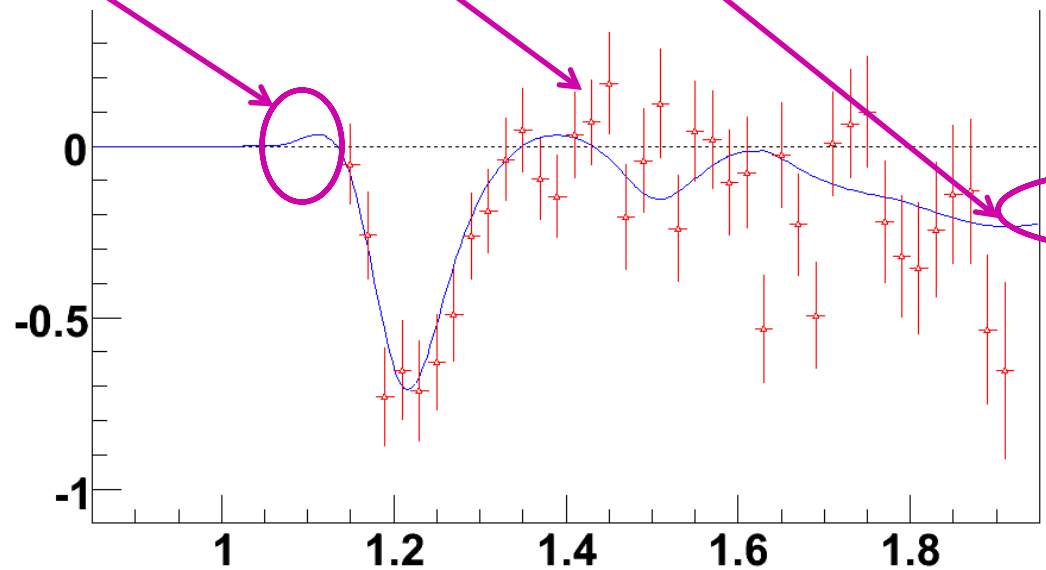
Extracted g_1



Calculation of Integrals

$$\begin{aligned}
 \Gamma_1(Q^2) &= \int_{x=0.001}^{x(W_{data})} g_1(x, Q^2) dx && \text{model} \\
 &+ \int_{x(W_{data})}^{W=1.15} g_1(x, Q^2) dx && \text{data (or model for gaps)} \\
 &+ \int_{W=1.15}^{W=1.08} g_1(x, Q^2) dx && \text{model}
 \end{aligned}$$

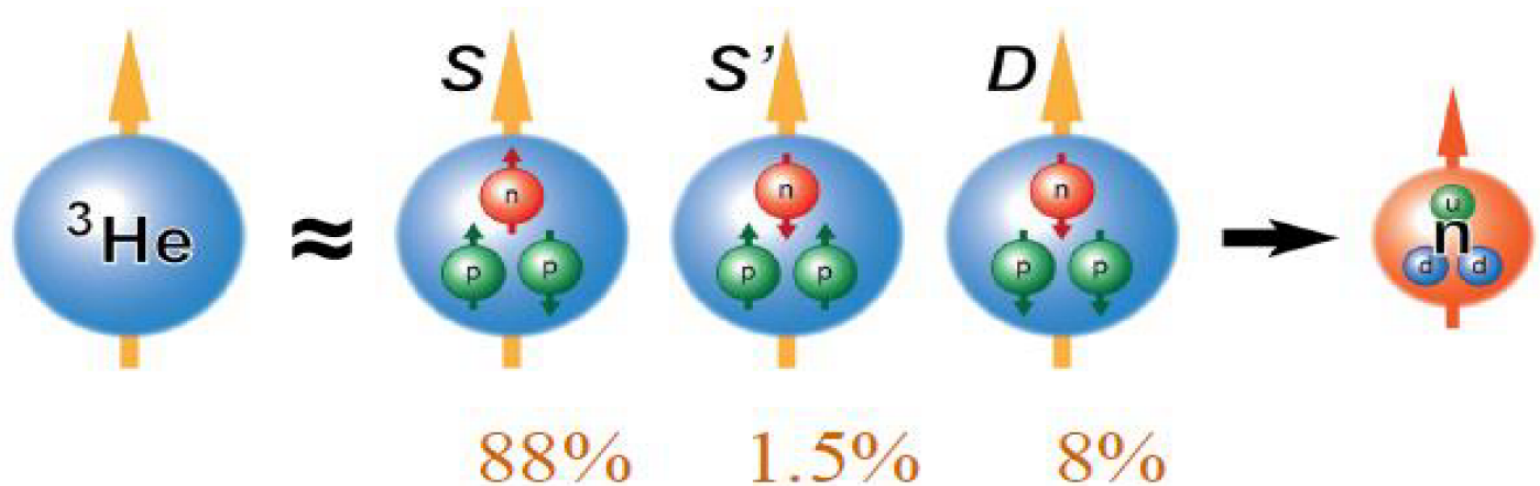
$$x = \frac{Q^2}{Q^2 + W^2 - M^2}$$



W

Neutron Target

- Neutron mean lifetime is just under 15 mins.
- ^3He nucleus has two protons whose spins are paired, and a single neutron that accounts for most of the nuclear spin.
- So, ^3He is an effective polarized neutron target.



F. R. P. Bissey, A. W. Thomas, and I. R. Afnan, Phys. Rev. C64, 024004 (2001)