

2017 APS Group on Hadronic Physics Meeting.
PDFs: Intrinsic Charm II
February 2nd, 2017. Washington, D.C.

Constraints *and* implications for the nucleon's
intrinsic charm from **QCD** global analysis

T.J.Hobbs

Univ. of Washington, Seattle

motivation

- though “exotic,” **IC** is still **SM physics**, and potentially crucial to **HEP phenomenology**

→ through constraints to **PDF sets** and models,

→ and **background** processes in collider physics

(see talk by W. Melnitchouk)

→ but also studies of hadronic bound-state structure!

- knowledge of charm distributions may influence dynamics in **heavy-ion** physics

(see talks in “Onia” I/II)

...e.g., through effects in **J/ψ production** and decay

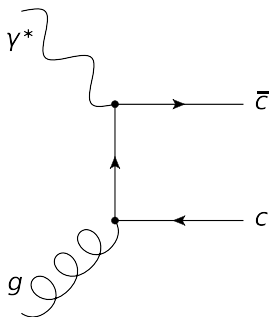
- relevance to searches for **new physics??** *(see talk by S. Gardner)*

...i.e., through enhanced BSM cross sections...

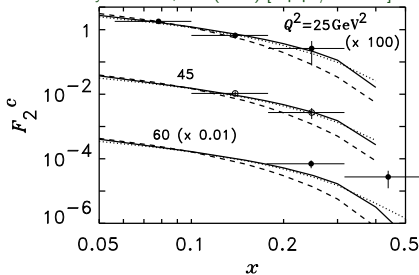
→ DM cross sections $\sim \left| m_q \langle p | \bar{q}q | p \rangle \right|^2$

charm in *perturbative* QCD (pQCD)

$$\bullet c(x, Q^2 \leq m_c^2) = \bar{c}(x, Q^2 \leq m_c^2) = 0$$



F. M. Steffens, W. Melnitchouk and A. W. Thomas,
Eur. Phys. J. C **11**, 673 (1999) [hep-ph/9903441].

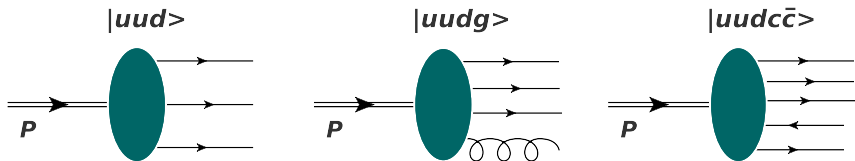


- *intermediate* Q^2 :

$$F_{2, \text{PGF}}^c(x, Q^2) = \frac{\alpha_s(\mu^2)}{9\pi} \int_x^{z'} \frac{dz'}{z} C^{\text{PGF}}(z, Q^2, m_c^2) \cdot xg\left(\frac{x}{z}, \mu^2\right)$$

- *high* Q^2 :

massless **DGLAP** (i.e., *variable flavor-number schemes*)

simplest *nonperturbative* model calculations

→ original models possessed *scalar* vertices...

- Brodsky et al. (1980):

$$P(p \rightarrow uudc\bar{c}) \sim \left[M^2 - \sum_{i=1}^5 \frac{k_{\perp i}^2 + m_i^2}{x_i} \right]^{-2}$$

→ produces *intrinsic* PDF, $c^{\text{IC}}(x) = \bar{c}^{\text{IC}}(x)$

- Blümlein (2015):

$$\tau_{life} = \frac{1}{\sum_i E_i - \bar{E}} = \frac{2P}{\left(\sum_{i=1}^5 \frac{k_{\perp i}^2 + m_i^2}{x_i} - M^2 \right) \Big|_{\sum_j x_j = 1}} \quad \text{vs.} \quad \tau_{int} = \frac{1}{q_0}$$

→ comparison constrains $x - Q^2$ space over which IC is observable

meson-baryon models (MBMs)

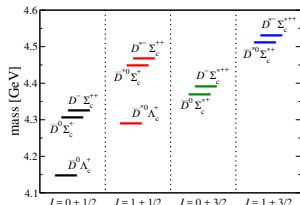
- we implement a framework which *conserves spin/parity*
- nonperturbative mechanisms** are needed to break
 $c(x, Q^2 \leq m_c^2) = \bar{c}(x, Q^2 \leq m_c^2) = 0!$

We build an **EFT** which connects IC to properties of the hadronic spectrum: [TJH, J. T. Londergan and W. Melnitchouk, Phys. Rev. D89, 074008 (2014).]

- $|N\rangle = \sqrt{Z_2} |N\rangle_0 + \sum_{M,B} \int dy \mathbf{f}_{MB}(\mathbf{y}) |M(y); B(1-y)\rangle$
 $y = k^+/P^+$: k meson, P nucleon

$$c(x) = \sum_{B,M} \left[\int_x^1 \frac{d\bar{y}}{\bar{y}} f_{BM}(\bar{y}) c_B\left(\frac{x}{\bar{y}}\right) \right]$$

- a similar *convolution* procedure may be used for $\bar{c}(x) \dots$



amplitudes from hadronic **EFT**

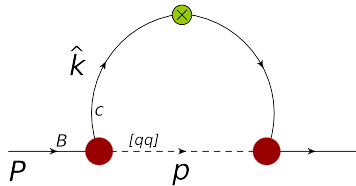
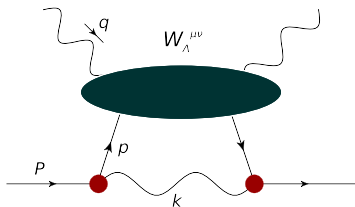
- e.g., for the **dominant** contribution to $c(x)$, i.e., $\Lambda_c D^*$:

$$c(x) = \int_x^1 \frac{d\bar{y}}{\bar{y}} f_{\Lambda D^*}(\bar{y}) \cdot c_{\Lambda}\left(\frac{x}{\bar{y}}\right):$$

$$\mathcal{L}_{D^* \Lambda N} = g \bar{\psi}_N \gamma_{\mu} \psi_{\Lambda} \theta_{D^*}^{\mu} + \frac{f}{4M} \bar{\psi}_N \sigma_{\mu\nu} \psi_{\Lambda} F_{D^*}^{\mu\nu} + \text{h.c.}$$

$$\mathcal{L}_{c[qq]\Lambda} = g \bar{\psi}_{\Lambda} \psi_c \phi_{[qq]} + \text{h.c.}$$

quark model \rightarrow had. g, f

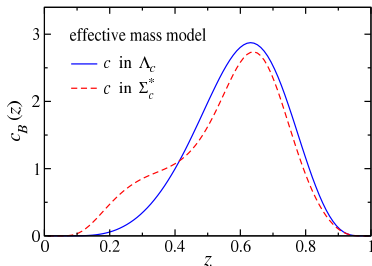
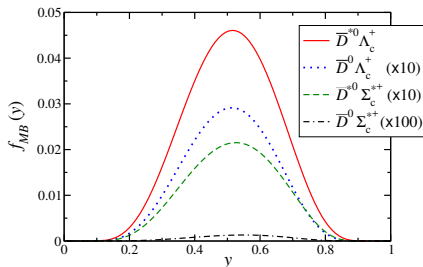


\rightarrow evaluate forward-moving **TOPT** diagrams

hadron/parton **distributions**

$$f_{BD^*}(\bar{y}) = T_B \frac{1}{16\pi^2} \int dk_{\perp}^2 \frac{|\mathcal{F}(s_{BM})|^2}{(s_{BM} - M^2)^2} \frac{1}{\bar{y}(1-\bar{y})} \\ \times \left[g^2 G_v(\bar{y}, k_{\perp}^2) + \frac{gf}{M} G_{vt}(\bar{y}, k_{\perp}^2) + \frac{f^2}{M^2} G_t(\bar{y}, k_{\perp}^2) \right]$$

$$c_B(z) = N_B \frac{1}{16\pi^2} \int d\hat{k}_{\perp}^2 \frac{1}{z^2(1-z)} \frac{|\mathcal{F}(\hat{s})|^2}{(\hat{s} - M_B^2)^2} \left[\hat{k}_{\perp}^2 + (m_c + zM_B)^2 \right]$$



→ **model dependence** mainly from $\mathcal{F}(s)$,

$$s(\bar{y}, k_{\perp}^2) = (M_{\Lambda}^2 + k_{\perp}^2)/\bar{y} + (m_D^2 + k_{\perp}^2)/(1-\bar{y})$$

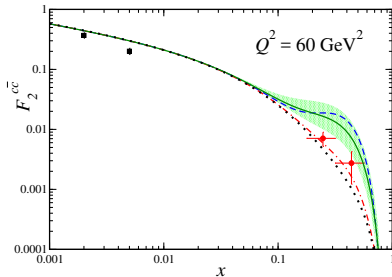
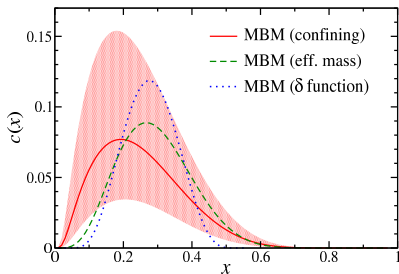
charm in the nucleon

- tune **universal** cutoff $\Lambda = \hat{\Lambda}$ to fit **ISR** $pp \rightarrow \Lambda_c X$ collider data

multiplicities, momentum sum:

$$\langle n \rangle_{MB}^{(\text{charm})} = 2.40\% \begin{matrix} +2.47 \\ -1.36 \end{matrix};$$

$$P_c := \langle x \rangle_{IC} = 1.34\% \begin{matrix} +1.35 \\ -0.75 \end{matrix}$$



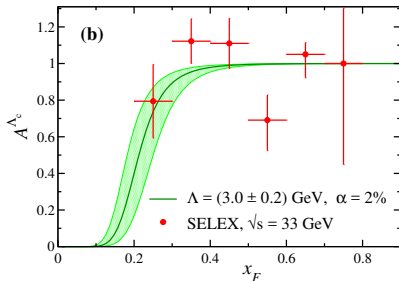
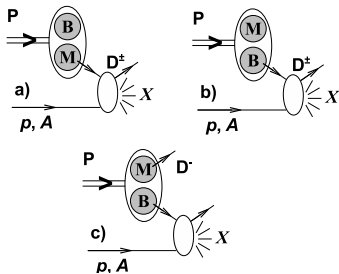
$$F_2^{c\bar{c}}(x, Q^2) = \frac{4x}{9} [c(x, Q^2) + \bar{c}(x, Q^2)]$$

→ evolve to **EMC** scale, $Q^2 = 60 \text{ GeV}^2$

low- x H1/ZEUS data check *massless* **DGLAP** evolution

production asymmetries?

$$A^{\Lambda_c}(x_F) = \frac{\sigma^{\Lambda_c}(x_F) - \sigma^{\bar{\Lambda}_c}(x_F)}{\sigma^{\Lambda_c}(x_F) + \sigma^{\bar{\Lambda}_c}(x_F)} \quad (\sigma^{\Lambda_c}(x_F) \equiv d\sigma^{\Lambda_c}/dx_F)$$



$$\frac{d\sigma^{\Lambda_c}}{dx_F} = \frac{d\sigma^{\Lambda_c}_{(\text{val})}}{dx_F} + \frac{d\sigma^{\Lambda_c}_{(\text{sea})}}{dx_F}$$

$$\frac{d\sigma^{\Lambda_c}_{(\text{val})}}{dx_F} \approx \sigma_0 \sum_M f_{\Lambda_c M}(x_F)$$

$$\frac{d\sigma^{\Lambda_c}_{(\text{sea})}}{dx_F} \equiv \frac{d\sigma^{\bar{\Lambda}_c}}{dx_F} \approx \bar{\sigma}_0 (1 - x_F)^{\bar{n}}$$

$$\rightarrow \boxed{A_{\Lambda_c}(x_F) = \frac{\sum_M f_{\Lambda_c M}(x_F)}{\sum_M f_{\Lambda_c M}(x_F) + 2\alpha(1-x_F)^{\bar{n}}} \quad (\alpha = \bar{\sigma}_0/\sigma_0, \bar{n} = 6.8)}$$

systematics of global QCD analysis

extract/constrain quark densities:

$$F_{qh}^\gamma(x, Q^2) = \sum_f \int_0^1 \frac{d\xi}{\xi} C_i^{\gamma f} \left(\frac{x}{\xi}, \frac{Q^2}{\mu^2}, \frac{\mu_F^2}{\mu}, \alpha_S(\mu^2) \right) \cdot \phi_{f/h}(\xi, \mu_F^2, \mu^2)$$

- $C_i^{\gamma f}$: pQCD Wilson coefficients
- $\phi_{f/h}(\xi, \mu_F^2, \mu^2)$: *universal* parton distributions
(...here, $\mu_F^2 = 4m_c^2 + Q^2$)

\implies exploit properties of QCD to constrain models:

$$\sum_q \int_0^1 dx \, x \cdot \{f_{q+\bar{q}}(x, Q^2) + f_g(x, Q^2)\} \equiv 1 \quad (\text{mom. conserv.})$$

- DGLAP: **couples** Q^2 evolution of $f_q(x, Q^2)$, $f_g(x, Q^2)$

constraints from **global** fits...

P. Jimenez-Delgado, TJH, J. T. Londergan and W. Melnitchouk; PRL 114, no. 8, 082002 (2015).

26 sets:

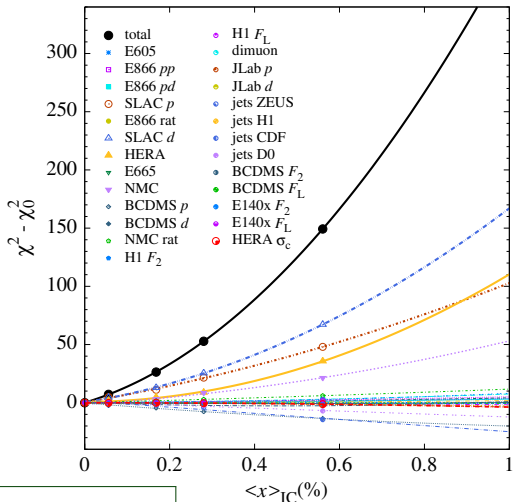
$$N_{dat} = 4296$$

$$Q^2 \geq 1 \text{ GeV}^2$$

$$W^2 \geq 3.5 \text{ GeV}^2$$



** HTs, TMCs,
smearing...



• constrain:

$$\langle x \rangle_{IC} = \int_0^1 dx x \cdot [c + \bar{c}](x)$$

... 'total IC momentum'

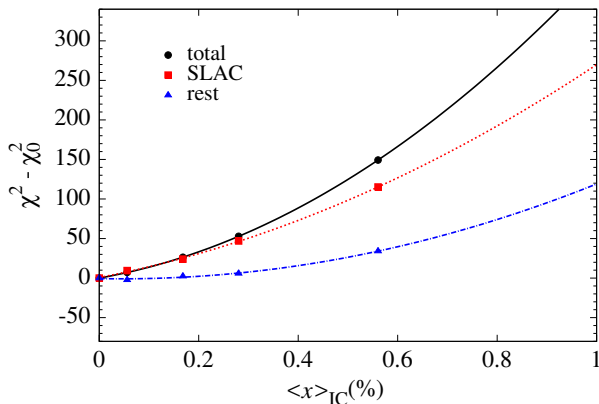
...without **EMC** $F_2^{c\bar{c}}$...

SLAC *ep, ed* data!

$$\langle Q^2 \rangle \sim 15 \text{ GeV}^2$$

$$0.06 \leq x \leq 0.9$$

$$(\chi^2/N_{dat} \sim 1.25)$$



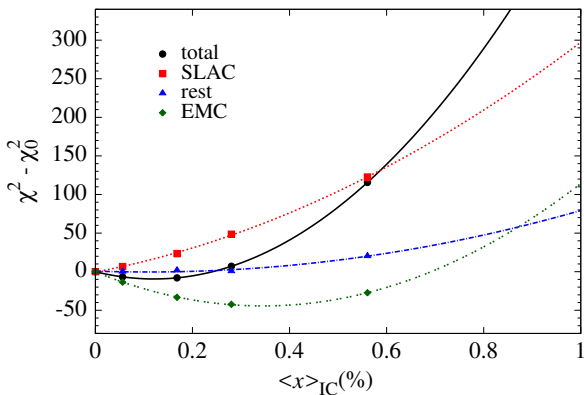
'SLAC + REST' $\Rightarrow \langle x \rangle_{IC} < 0.1\%$; at 5σ !

'REST' only $\Rightarrow \langle x \rangle_{IC} < 0.1\%$; at 1σ

cf., $\langle x \rangle_{IC} \sim 2 - 3\%$

e.g., [S. Dulat et al., Phys. Rev. D 89, 073004 (2014).]

N.B.: different tolerances: $\Delta\chi^2 = 1$ vs. $\Delta\chi_{CT}^2 = 100$

...and constrained by **EMC**

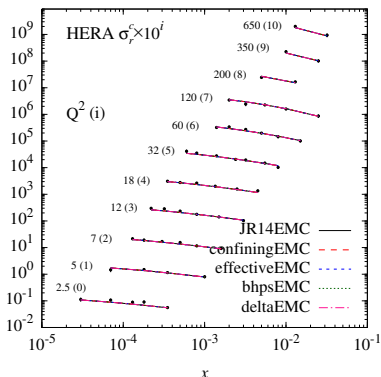
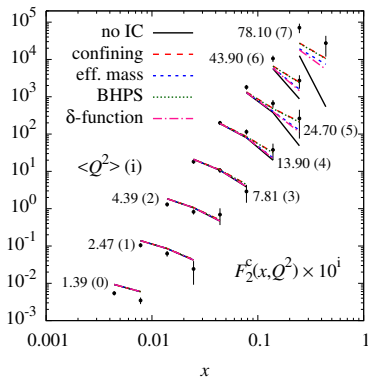
EMC alone: $\langle x \rangle_{IC} = 0.3 - 0.4\%$

+ **SLAC**/**'REST'**: $\langle x \rangle_{IC} = 0.13 \pm 0.04\%$

...but $F_2^{c\bar{c}}$ poorly fit — $\chi^2 \sim 4.3$ per datum!

data comparisons:

...full fits, constrained by EMC $F_2^{c\bar{c}}$ measurements:



- EMC: low- x /low- Q^2 tension with HERA σ_r^c
- $\frac{\tau_{life}}{\tau_{int}} = 5 \rightarrow$ for $Q^2 = 170 \text{ GeV}^2$, EMC sensitive to IC at $x \lesssim 0.01$

\rightarrow more $F_2^{c\bar{c}}$ data are needed!

new/ongoing global analyses

- **NNPDF3**: not anchored to specific parametrizations/models

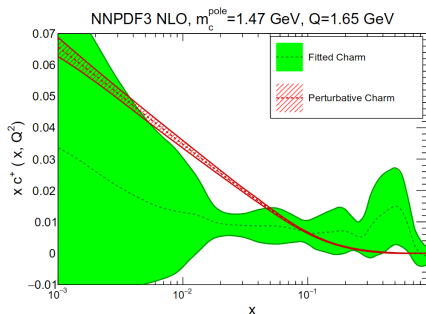
see: Ball *et al.* Eur. Phys. J. **C76** (2016) no.11, 647

- *included* EMC:

$$\langle x \rangle_{\text{IC}} = 0.7 \pm 0.3\% \text{ at } Q \sim 1.5 \text{ GeV}$$

→ drove a **very hard** $c(x) = \bar{c}(x)$ distribution

- peaked at $x \sim 0.5$
- AND, required a **negative** IC component to describe EMC $F_2^{c\bar{c}}$!



- complementary analyses for possible intrinsic **bottom**

see: Lyonnet *et al.* JHEP07 (2015) 141.

→ would be negligible based on the analysis presented here...

future **experimental** prospects?

- jet hadroproduction: $pp \rightarrow (Zc) + X$ at **LHCb**

e.g., Boettcher, **Ilten**, Williams, PRD**93**, 074008 (2016).

→ a “direct” measure in the forward region, $2 < \eta < 5$
 ... sensitive to $c(x)$, $x \sim 1$ for *one* colliding proton

→ can discriminate $\langle x \rangle_{\text{IC}} \gtrsim 0.3\%$ (“valencelike”), 1% (“sealike”)

- **prompt atmospheric neutrinos?**

see: **Laha** & Brodsky, 1607.08240 (2016).

→ IceCube ν spectra may constrain IC normalization

- possible impact upon **hidden charm pentaquark**, P_c^+ ?

e.g., Schmidt & Siddikov, PRD**93**, 094005 (2016).

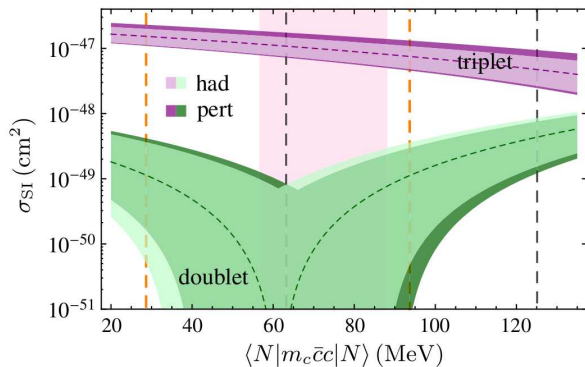
- **AFTER@LHC?** ... fixed-target pp at $\sqrt{s} = 115$ GeV

Brodsky *et al.* Adv. High Energy Phys. **2015**, 231547 (2015). [**Signori**]

charm **sigma term** and DM?

- heavy-particle EFT: after integrating away WIMP scale,
 $\sigma_c = m_c \langle p | \bar{c}c | p \rangle$ dominant DM cross section contribution

Hill and Solon, Phys. Rev. Lett. **112**, 211602 (2014).



- even with small $F_2^{c\bar{c}}(x, Q^2)$, σ_c may be *non-negligible!*

outlook

- have **model framework** for IC; contacts the $SU(4)$ spectrum
 - ... when constrained by $pp \rightarrow \Lambda_c X$ data, *overpredicts* $F_2^{c\bar{c}}$
 - generates “smoking gun” $c(x) \neq \bar{c}(x)$ signal
- modeling necessitated a **QCD global analysis**:
 - severely limits $\langle x \rangle_{IC} < 0.1\%$, 5σ (without EMC)
 - with EMC, $\langle x \rangle_{IC} = 0.13 \pm 0.04\%$
 - improved measurements of $F_2^{c\bar{c}}$ at large x would be **definitive** ... (e.g., by **fixed target EICs**)!
- modeling/numerical analyses have reached an advanced stage
 - more **experimental information** is required, and diverse channels are available

... thank you ...