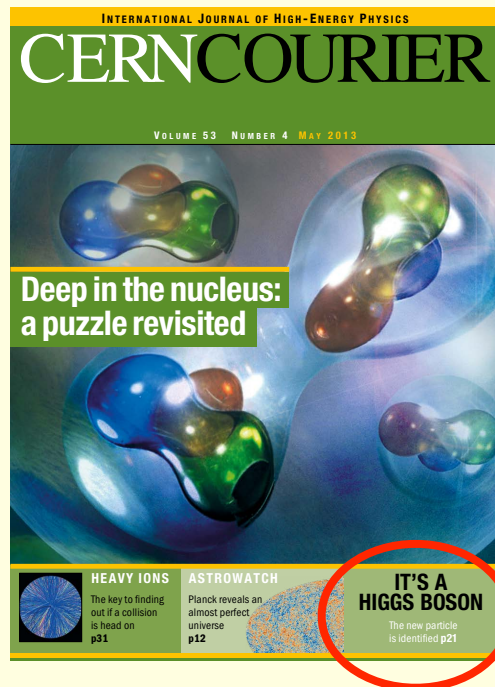


Nucleon-Nucleon Correlations and the Quarks Within

Gerald A. Miller University of Washington

RMP with Or Hen, Eli Piassetzky, Larry Weinstein
arXiv: 1611.09748

Will focus on $0.3 < x < 0.7$ Remarkable experimental progress

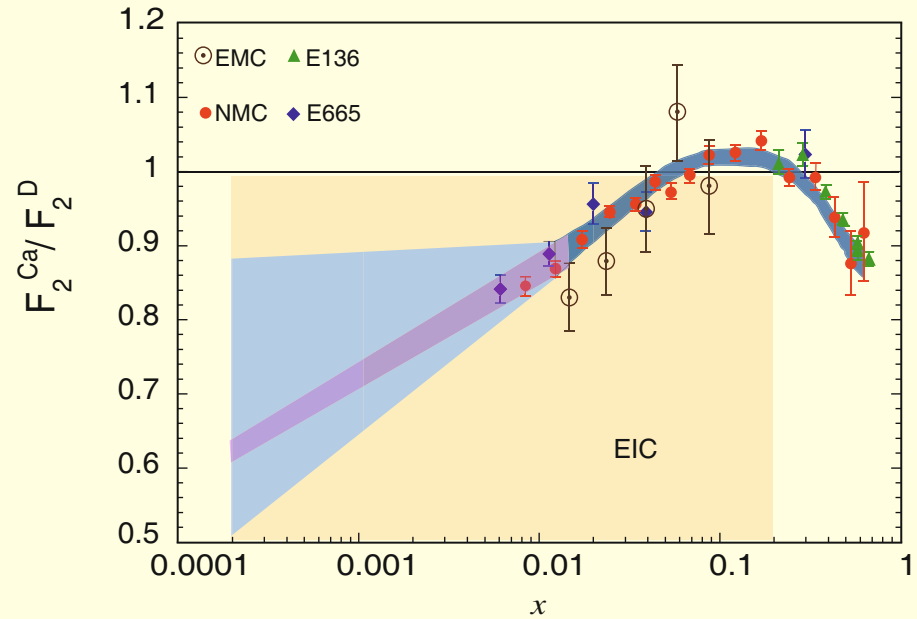
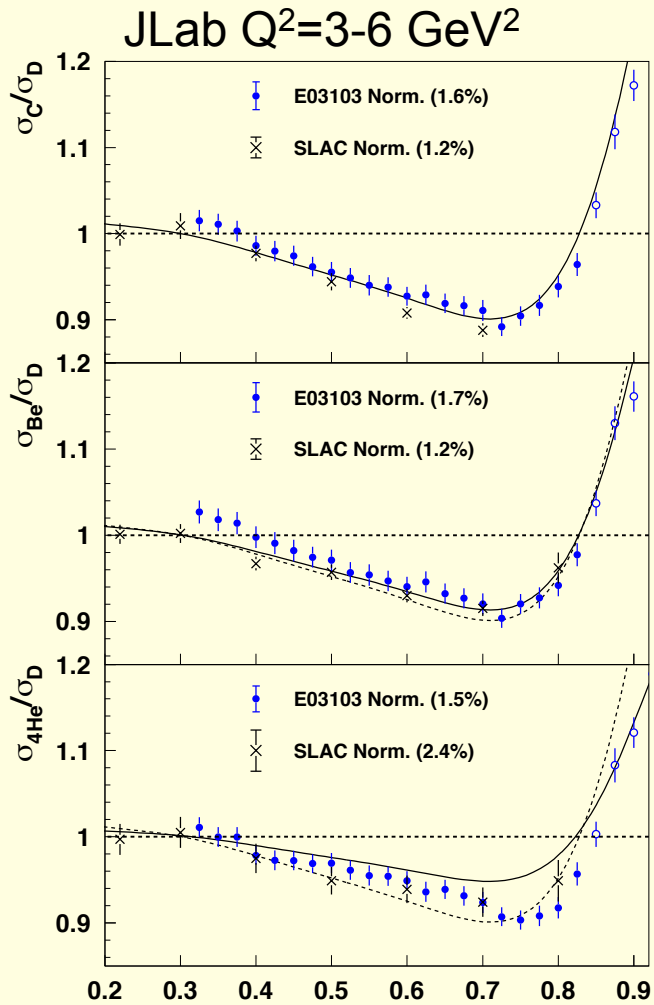


EMC effect

Higinbotham, Miller,
Hen, Rith

CERN Courier 53N4('13)24

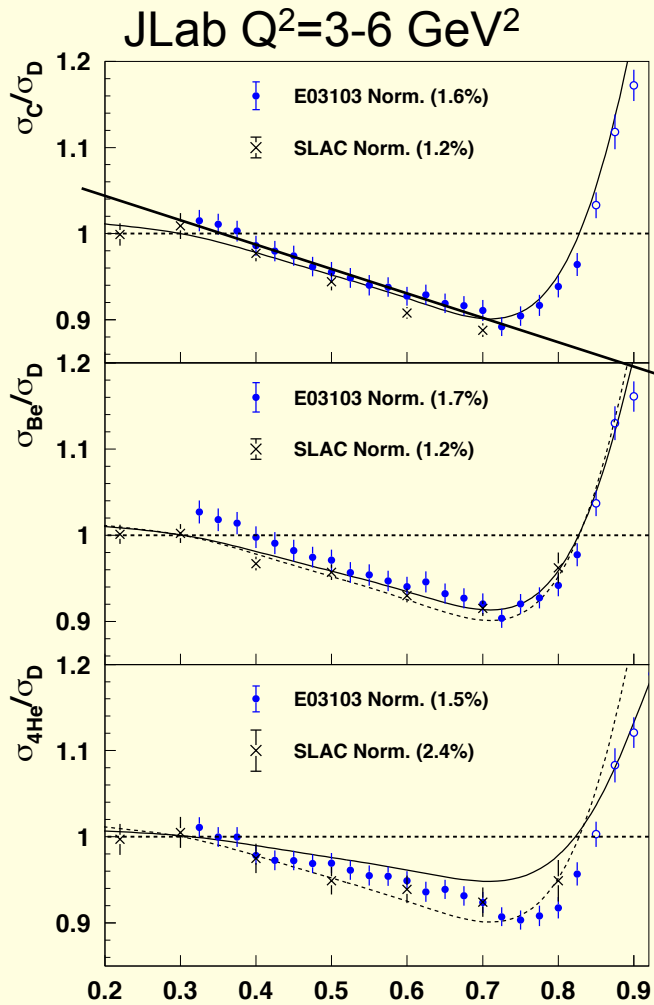
The EMC EFFECT



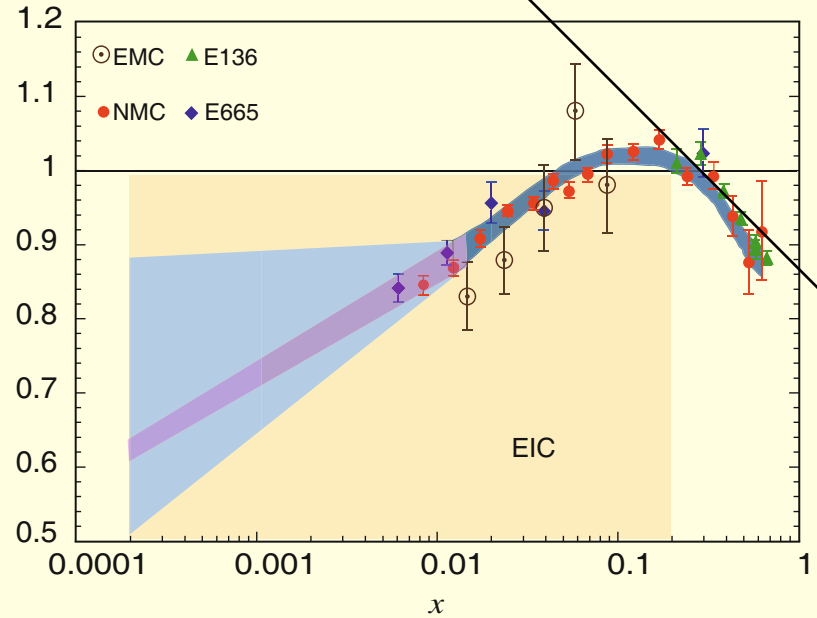
For $0.3 < x < 0.7$ ratio= R^x is approximately linear
 Nucleon structure is modified: valence quark momentum depleted.

EFFECTS ARE SMALL $\sim 15\%$

The EMC EFFECT



F_2^{Ca}/F_2^D



For $0.3 < x < 0.7$ ratio = R^x is approximately linear
 Nucleon structure is modified: valence quark momentum depleted.

EFFECTS ARE SMALL ~15%

Ideas: ~1000 papers 3 ideas

- Proper treatment of known effects: binding, Fermi motion, pionic- NO nuclear modification of internal nucleon/pion quark structure
- Quark based- high momentum suppression implies larger confinement volume
 - a bound nucleon is larger than free one- a mean field effect
 - b multi-nucleon clusters - beyond the mean field

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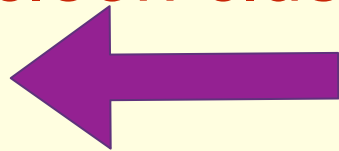
EMC – “Everyone’s Model is Cool (1985)”

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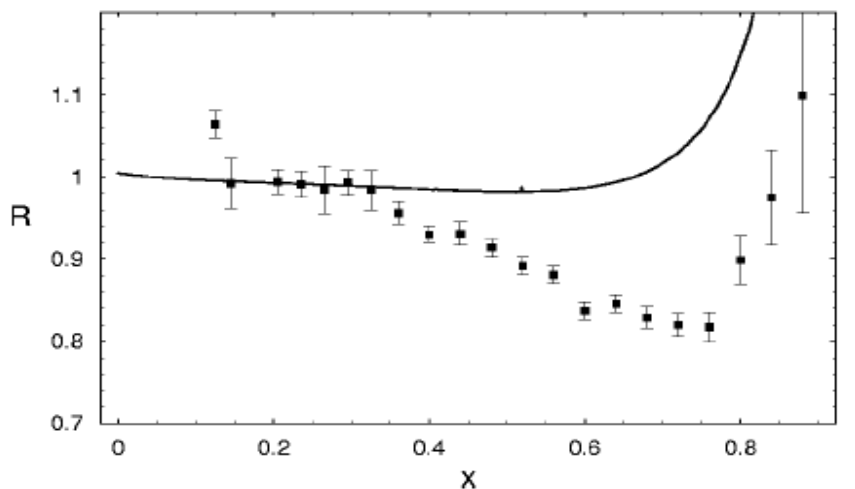
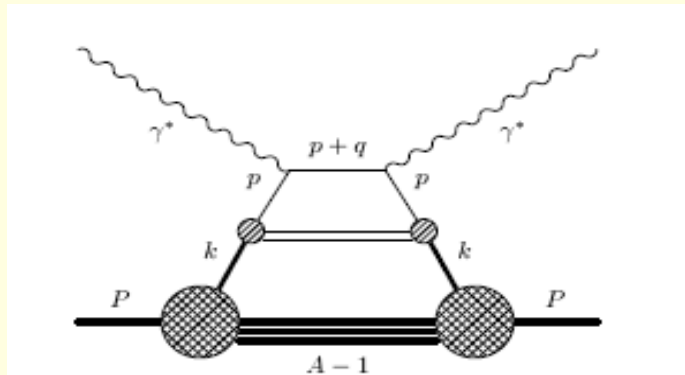
b multi-nucleon clusters - beyond the mean field



EMC – “Everyone’s Model is Cool (1985)”

One thing I learned since '85

- **Nucleon/pion model is not cool**
Deep Inelastic scattering from nuclei- nucleons only free structure function



Binding causes no EMC effect

- Hugenholz van Hove theorem nuclear stability implies (in rest frame) $P^+ = P^- = M_A$

- $P^+ = A(M_N - 8 \text{ MeV})$

- average nucleon k^+
 $k^+ = M_N - 8 \text{ MeV}$, Not much spread

- $F_{2A}/A \sim F_{2N}$ no EMC effect

Momentum sum rule-
matrix element of energy
momentum tensor

More on sum rules

- Baryon & momentum sum rules originate from matrix elements of conserved currents in the nucleon wave function-Collins book
- Must be respected

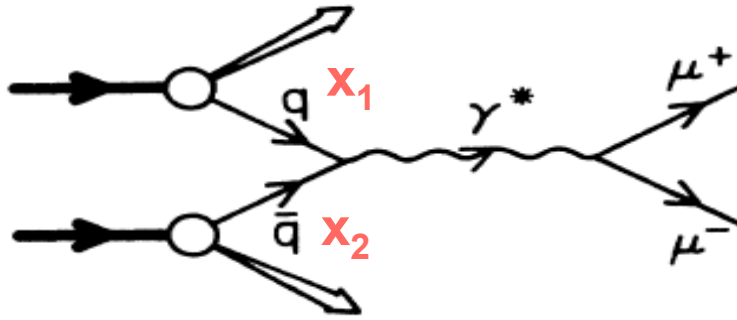
Nucleons and pions

$$P_A^+ = P_N^+ + P_\pi^+ = M_A$$

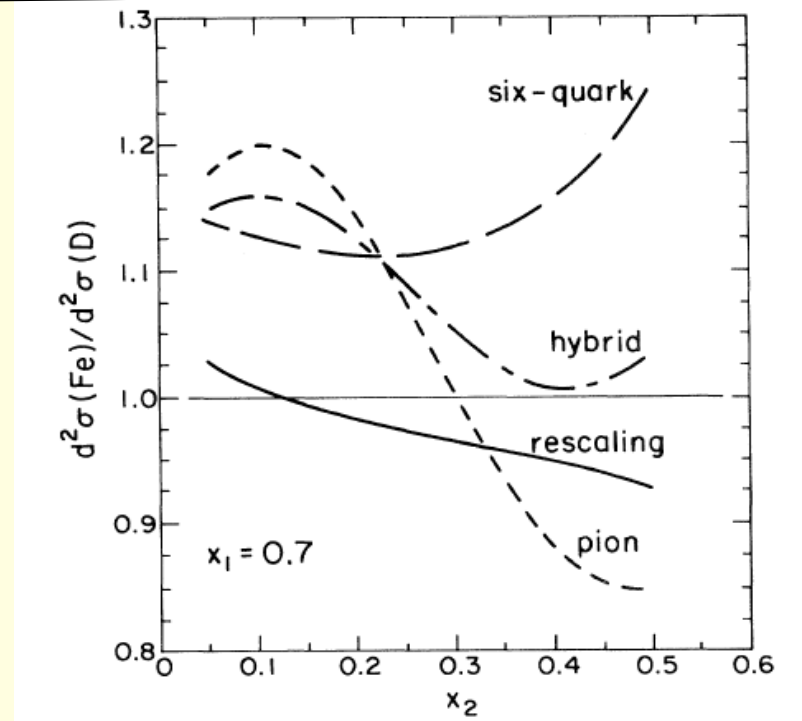
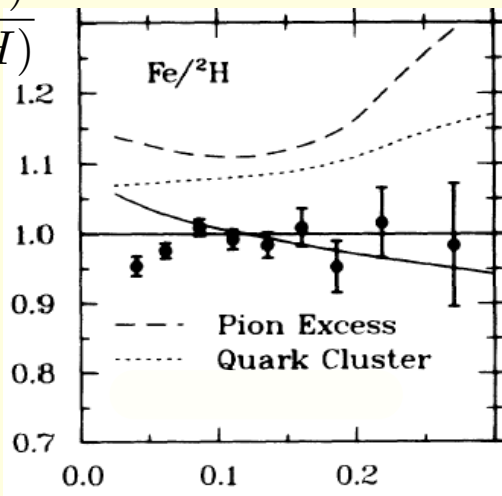
$P_\pi^+ / M_A = .04$, explain EMC, sea enhanced

try Drell-Yan, Bickerstaff, Birse, Miller 84

proton(x_1) nucleus(x_2)



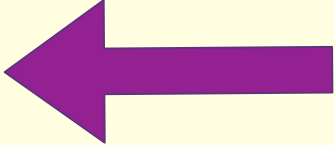
$$\frac{\sigma_{DY}(\text{Fe})}{\sigma_{DY}({}^2\text{H})}$$

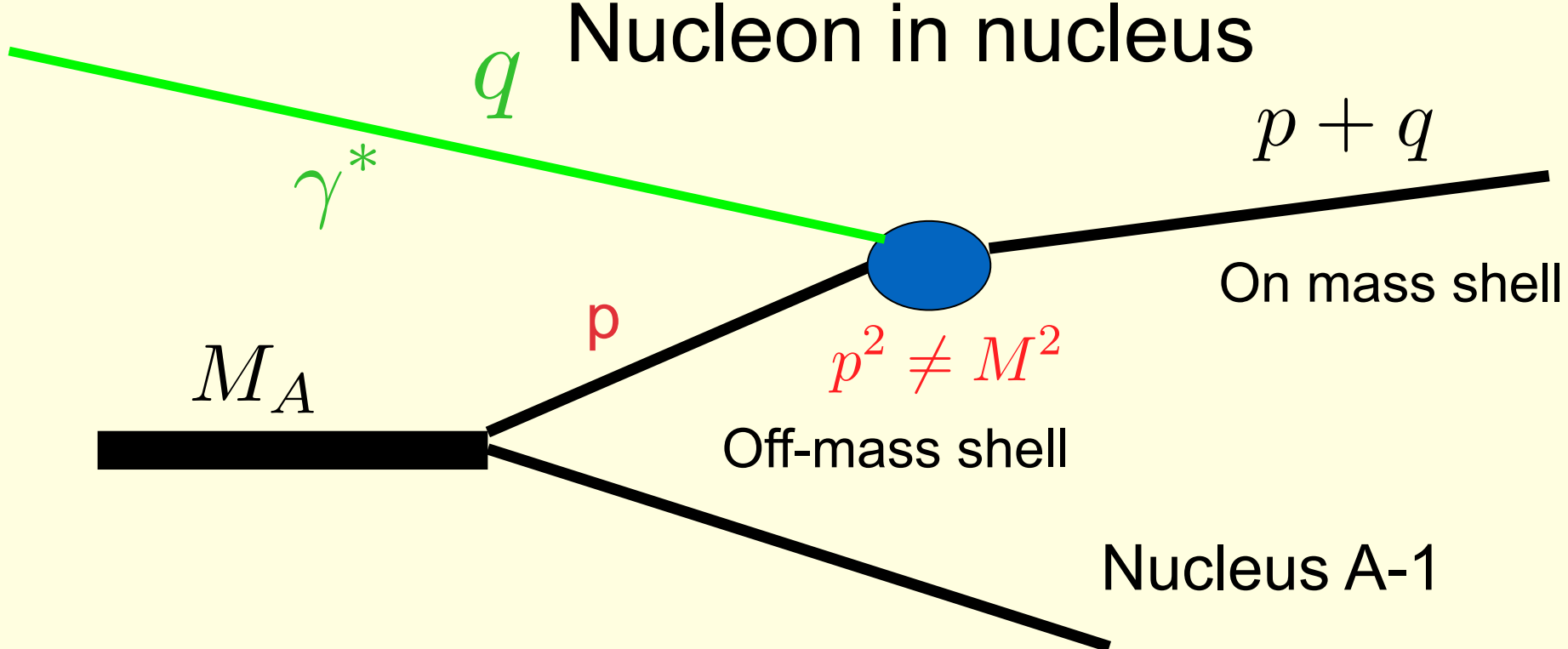


Bertsch, Frankfurt, Strikman "crisis"

E772 PRL 69,1726 (92)

Ideas: ~1000 papers 3 ideas

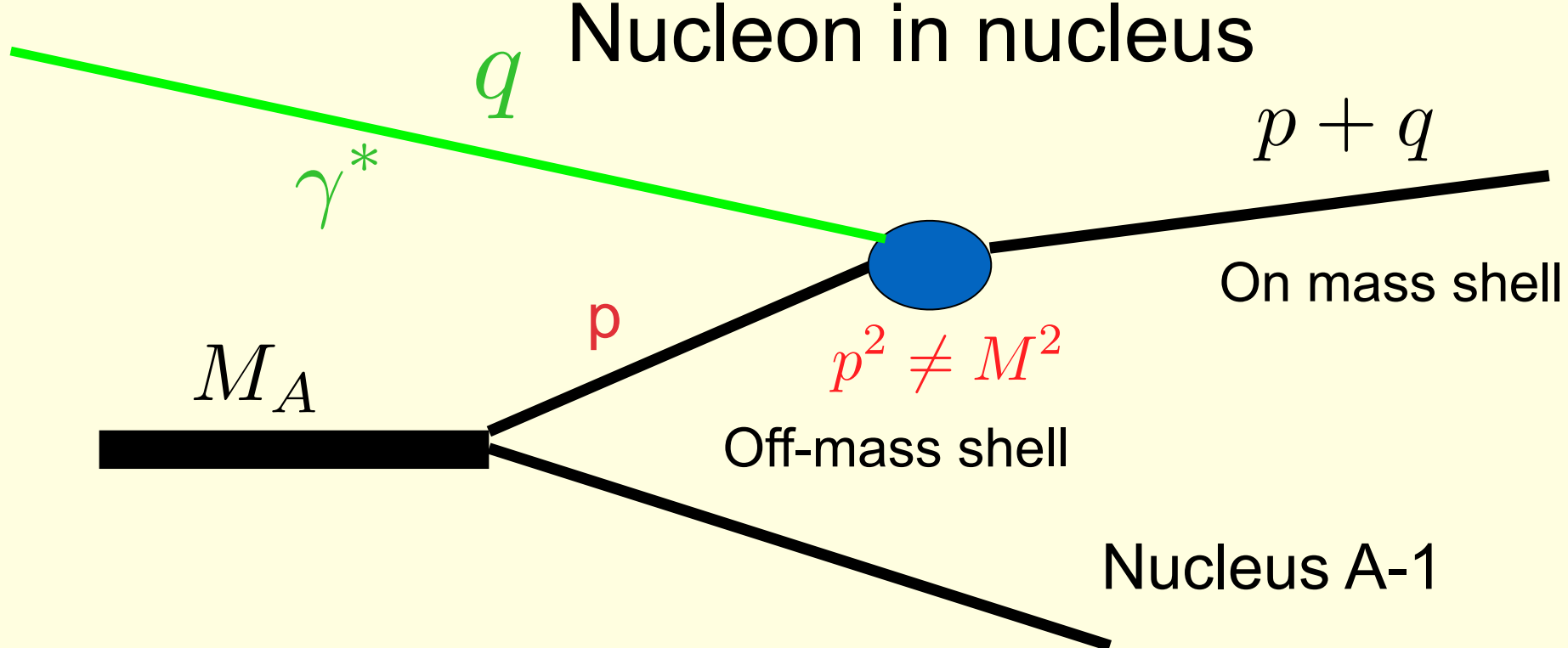
- ~~• Proper treatment of known effects: binding, Fermi motion, pionic- NO nuclear modification of internal nucleon/pion quark structure~~
- Quark based- high momentum suppression implies larger confinement volume
 - a bound nucleon is larger than free one- a mean field effect I don't see how you can get plateaus at large x in a mean field model-Fomin
 - b multi-nucleon clusters - beyond the mean field 



- a** A-1 nucleus is low-lying state ● is form factor of "large" proton
- b** A-1 nucleus is 1 fast nucleon + A-2 nucleus
the struck nucleon is part of correlated pair SRC

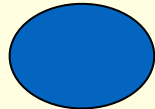
If Nucleus A-1 is highly excited, then $p^2 - M^2$ is big

Such large **virtuality** occurs from two nearby correlated nucleons
Highly virtually nucleon is not a nucleon- different quark config.



a

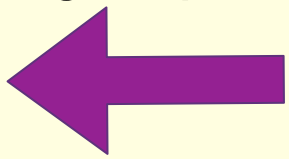
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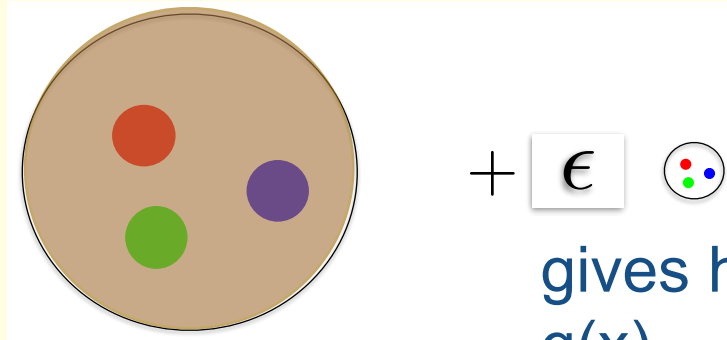
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Free nucleon

Suppression of Point Like Configurations

Frankfurt Strikman

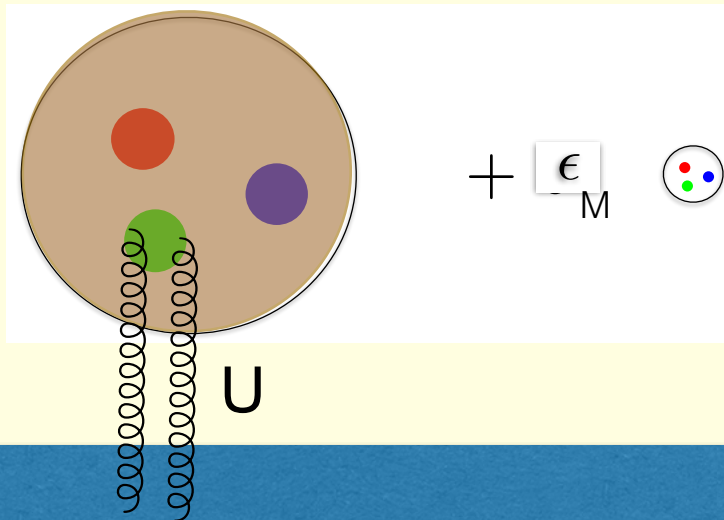


gives high x
 $q(x)$

Schematic
two-component
nucleon model

Blob-like config: BLC
Point-like config: PLC

Bound nucleon



A-1

PLC smaller, fewer quarks
high x

Medium interacts with BLC
energy denominator increases
PLC Suppressed

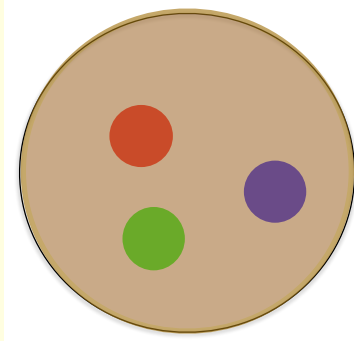
$$|\epsilon_M| < |\epsilon|$$

Schroedinger equation $\rightarrow U = (p^2 - M^2)/2M^9$

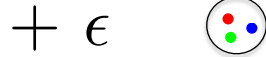
Quark structure of nucleon

Frankfurt-Strikman

BLC



PLC



gives high x
 $q(x)$

PLC does not interact with nucleus

two-component model:

Blob-like config: BLC

Point-like config: PLC

$$\text{Free nucleon : } H_0 = \begin{bmatrix} E_B & V \\ V & E_P \end{bmatrix}, V > 0$$

$$|N\rangle = |B\rangle + \epsilon|P\rangle, \epsilon = \frac{V}{E_B - E_P} < 0$$

$$\text{In nucleus (M) : } H = \begin{bmatrix} E_B - |U| & V \\ V & E_P \end{bmatrix}$$

$$|N\rangle_M = |B\rangle + \epsilon_M|P\rangle, |\epsilon_M| < |\epsilon|, \text{ PLC suppressed, } \epsilon_M - \epsilon > 0 \text{ amplitude effect!}$$

$$|N\rangle_M - |N\rangle \propto (\epsilon_M - \epsilon) \propto \mathbf{U -virtuality}$$

$$q_M(x) = q(x) + (\epsilon_M - \epsilon)f(x)q(x), \frac{df}{dx} < 0, x \geq 0.3 \text{ PLC suppression}$$

$$R = \frac{q_M}{q}; \frac{dR}{dx} = (\epsilon_M - \epsilon)\frac{df}{dx} < 0 \text{ Reproduces EMC effect - like every model}$$

Why this model??? Large effect if \mathbf{U} is large, **it is**

Cioffi degli Atti '07

A	$U = \langle v(\mathbf{p}, E) \rangle / 2M$
³ H e	-34.59
⁴ He	-69.40
¹² C	-82.28
¹⁶ O	-79.68
⁴⁰ Ca	-84.54
⁵⁶ Fe	-82.44
²⁰⁸ Pb	-92.20

large values from two nucleon correlations Simula

Implications of model

The two state model has a ground state $|N\rangle$ and an excited state $|N^*\rangle$

$$|N\rangle_M = |N\rangle + (\epsilon_M - \epsilon)|N^*\rangle$$

The nucleus contains excited states of the nucleon

These configurations are the origin of high x EMC ratios
non-nucleon

*Previously missing in models of the EMC effect-
same model predicts some other effect*

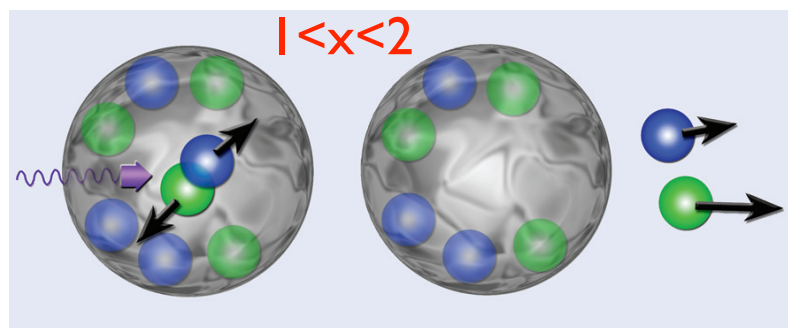
$A(e, e')$ at $x > 1$ shows dominance of 2N SRC

$$x = \frac{Q^2}{2M\nu}$$

x goes from 1 to A

$x=1$ is **exact** kinematic limit **for all Q^2** for the scattering off a free nucleon;
 $x=2$ ($x=3$) is **exact** kinematic limit **for all Q^2** for the scattering off a $A=2$ ($A=3$)
 system (up to $<1\%$ correction due to nuclear binding)

Two nucleons cluster

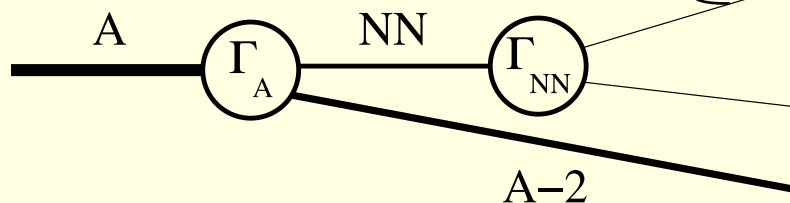


Before absorption
of the photon

After absorption

two nucleons of SRC are fast

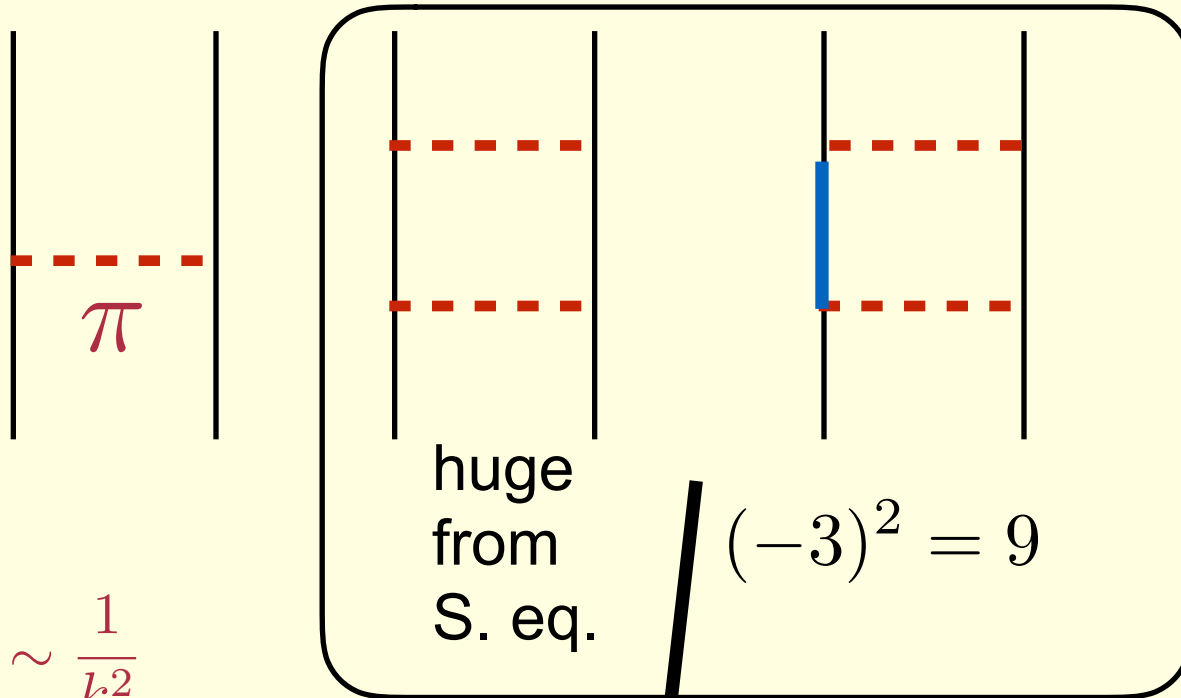
4



M Strikman
picture

How/why nucleons in nuclei cluster

one pion exchange between n and p -tensor force



$$\psi(k) \sim \frac{1}{k^2}$$

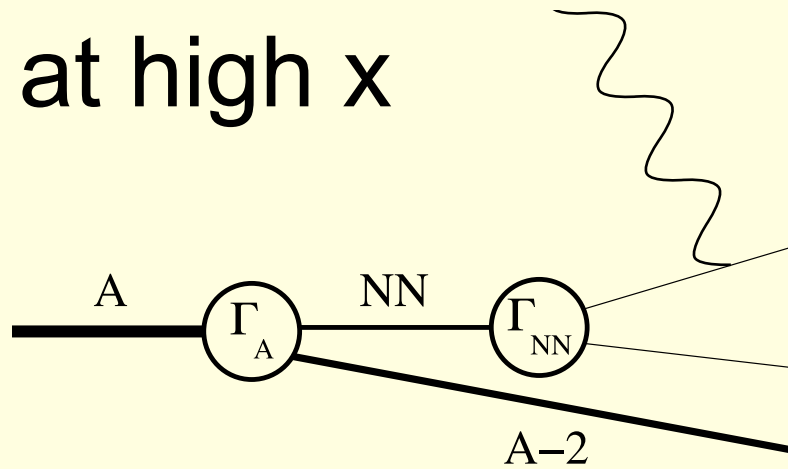
$300 \text{ MeV}/c < k < 500 \text{ MeV}/c$

Supports high momentum transfer

Not effective range

Two nucleons are stuck/struck together

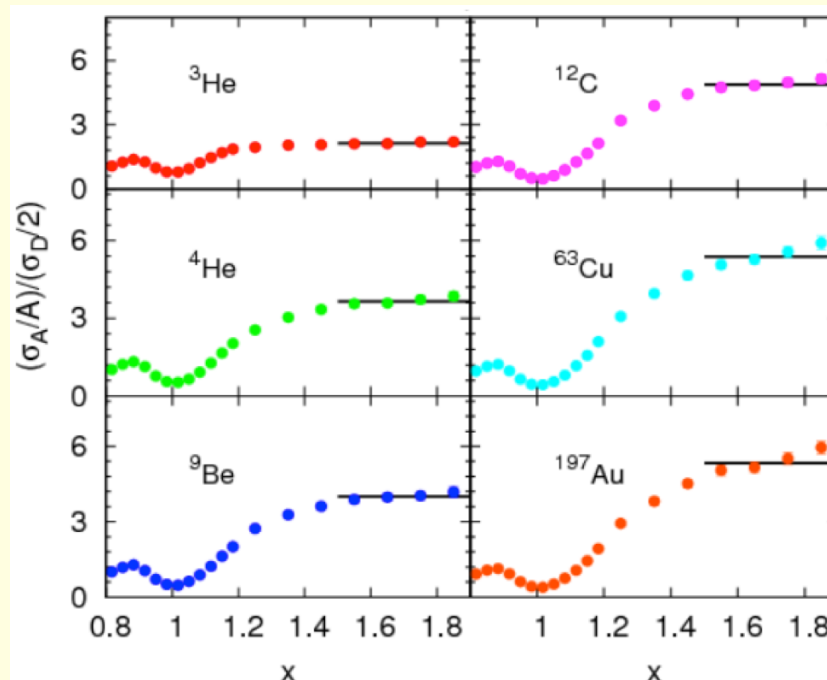
(e,e') at high x



$1 < x < 2$ leading term:

np dominance

$$\frac{2}{A}\sigma(x, Q^2) \approx a_2(A)\sigma_2(x, Q^2) \approx a_2(A)\sigma_D(x, Q^2)$$

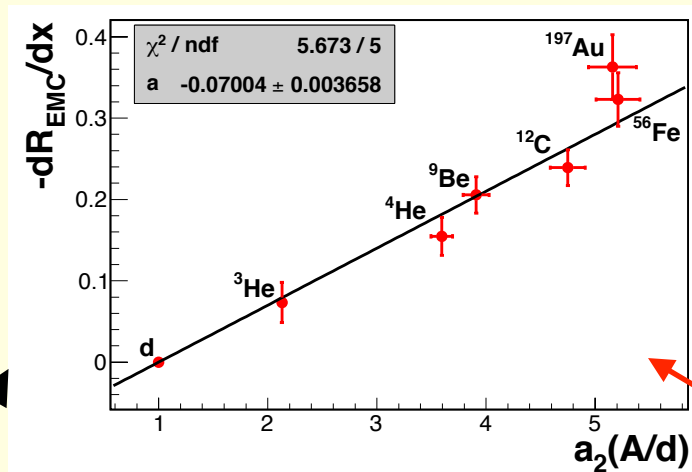
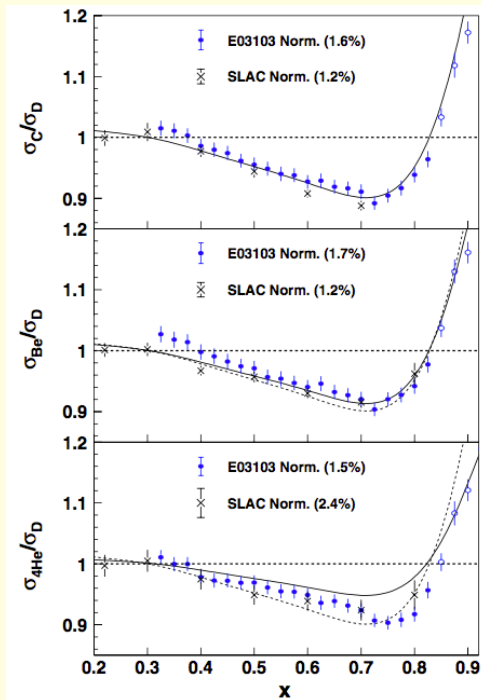


Fomin et al
'11

↑ a_2

DIS

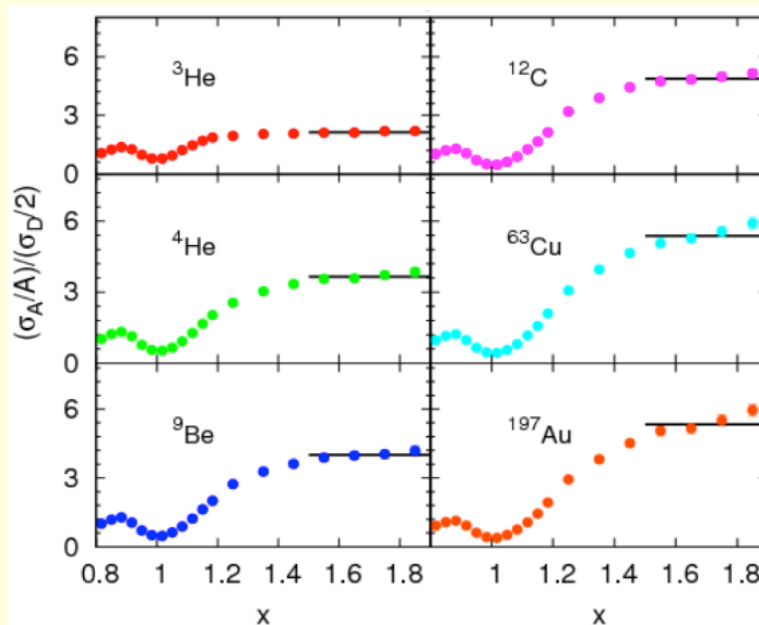
Hen et al 2013



Linear relation accident?

Seely et al 2009

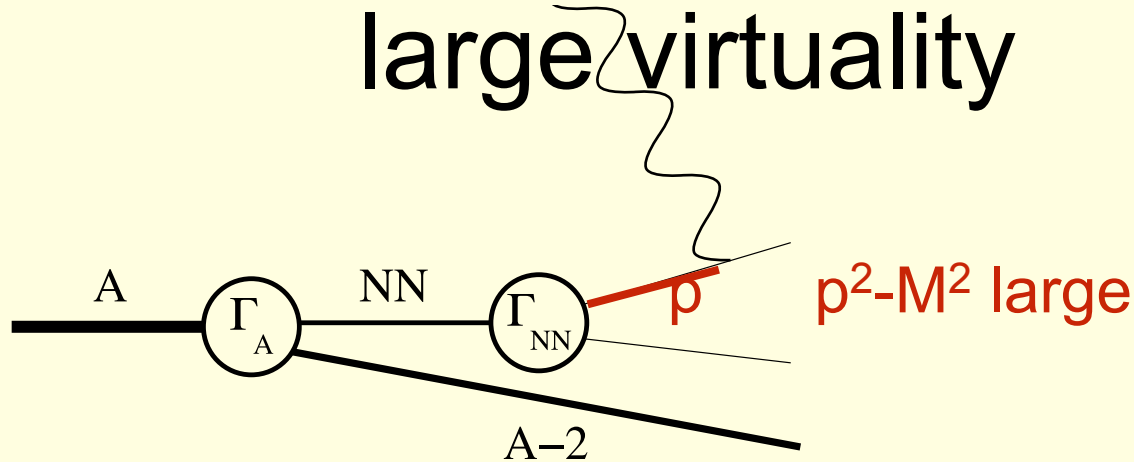
get slope



Fomin et al 2012

a₂

Common cause of dR/dx and $a_2(A)$: large virtuality

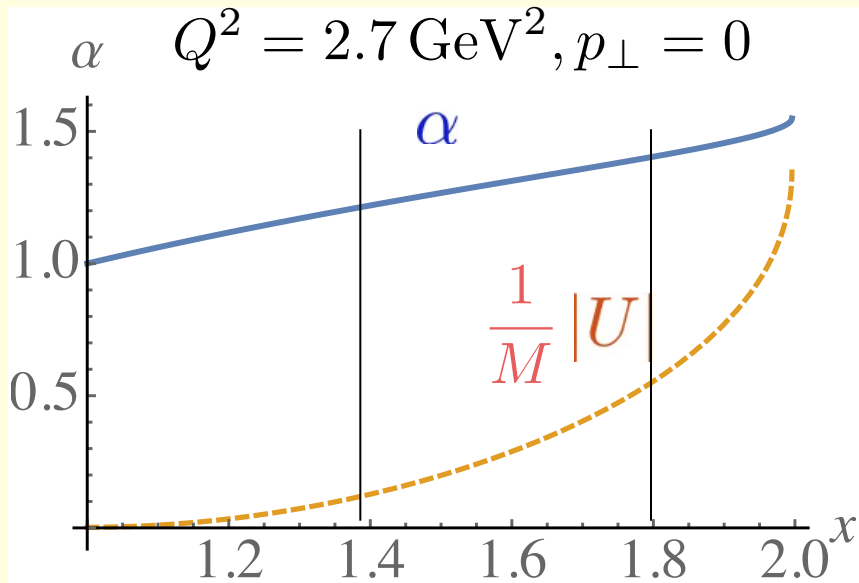


$$U = v/2M$$

Given Q^2 , x , p_{\perp}

4-momentum conservation determines $2\frac{p^+}{P_D^+} \equiv \alpha$ and $v = p^2 - M^2$

Sees wave function at $\alpha \approx 1.2$



$|U|$ is large v is large
can only get this from
short range correlation

large v is responsible for
both dR/dx and $a_2(A)$

The word **both** had been missing from models of EMC effect many models have been ad hoc. The PLC suppression model is not.

Implications for nuclear physics

- Nucleus modifies nucleon electroweak form factors
- Nucleon excited states exist in nuclei
- Medium modifications in deuteron influence extracted neutron F_2
- spectator tagging
-

Logic/Summary

Data	DIS-large x	(e,e') Plateau large x	(e,e',NN)
Interpret: kinematics	valence quark momentum decrease in A	2 baryon clusters	
QCD	nucleon wf has BLC,PLC etc PLC -high x PLC suppressed		
	Large virtuality		
Short-ranged interactions		np dominance	

Logic/Summary

EMC effect and
large x plateau
have same cause

Data

DIS-large x	(e,e') Plateau large x	(e,e',NN)
-------------	------------------------	-----------

Interpret:
kinematics

valence quark
momentum
decrease in A

2 baryon clusters

QCD

nucleon wf has
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Large virtuality

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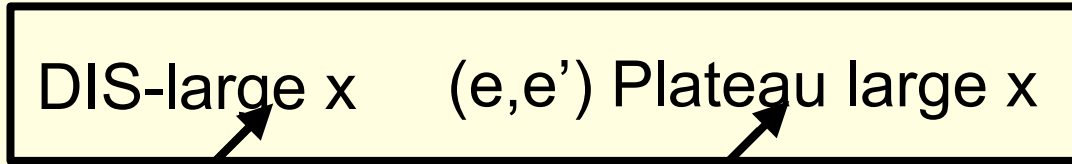
Short-ranged
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np
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(e,e',NN)

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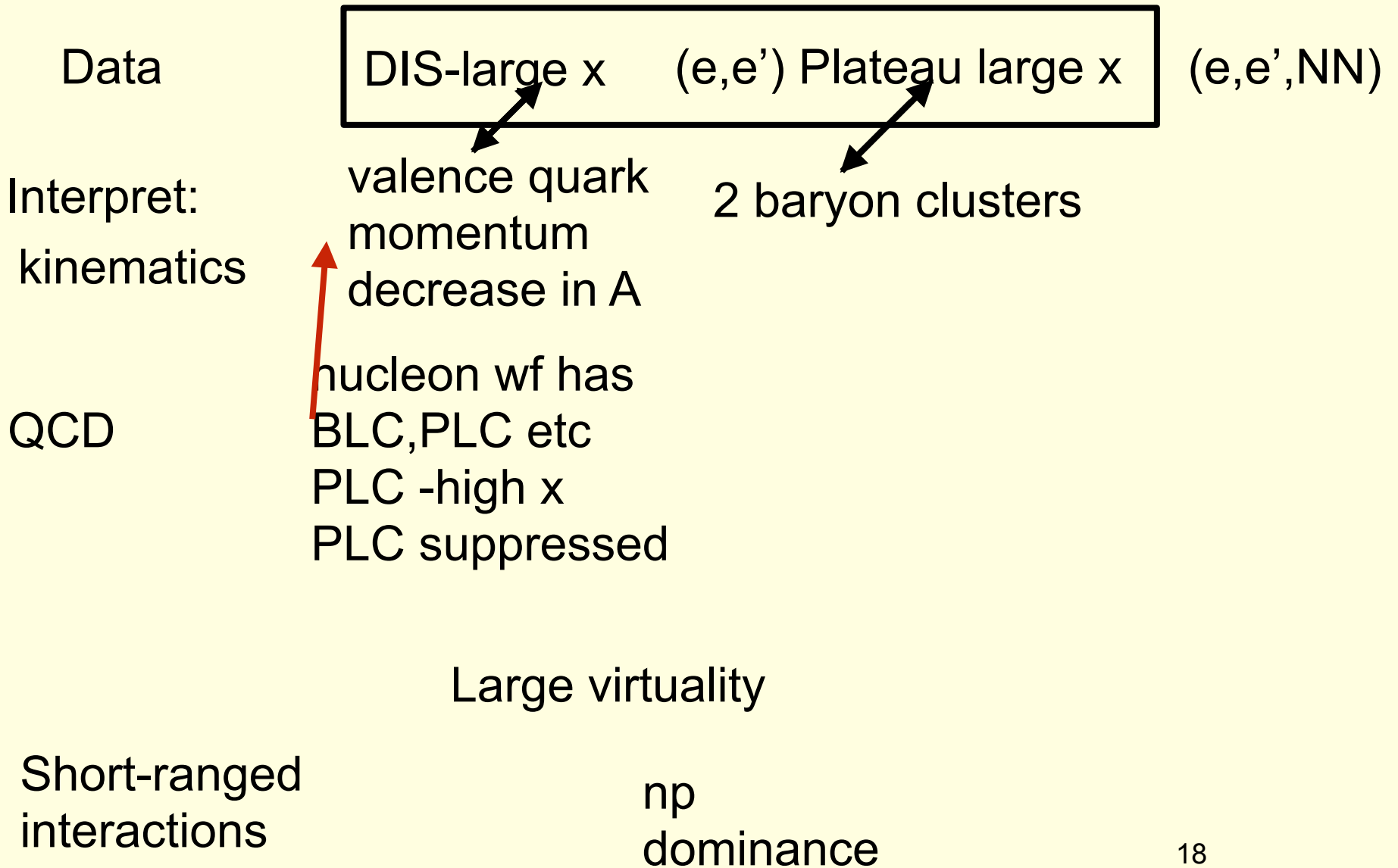
Large virtuality

Short-ranged
interactions

np
dominance

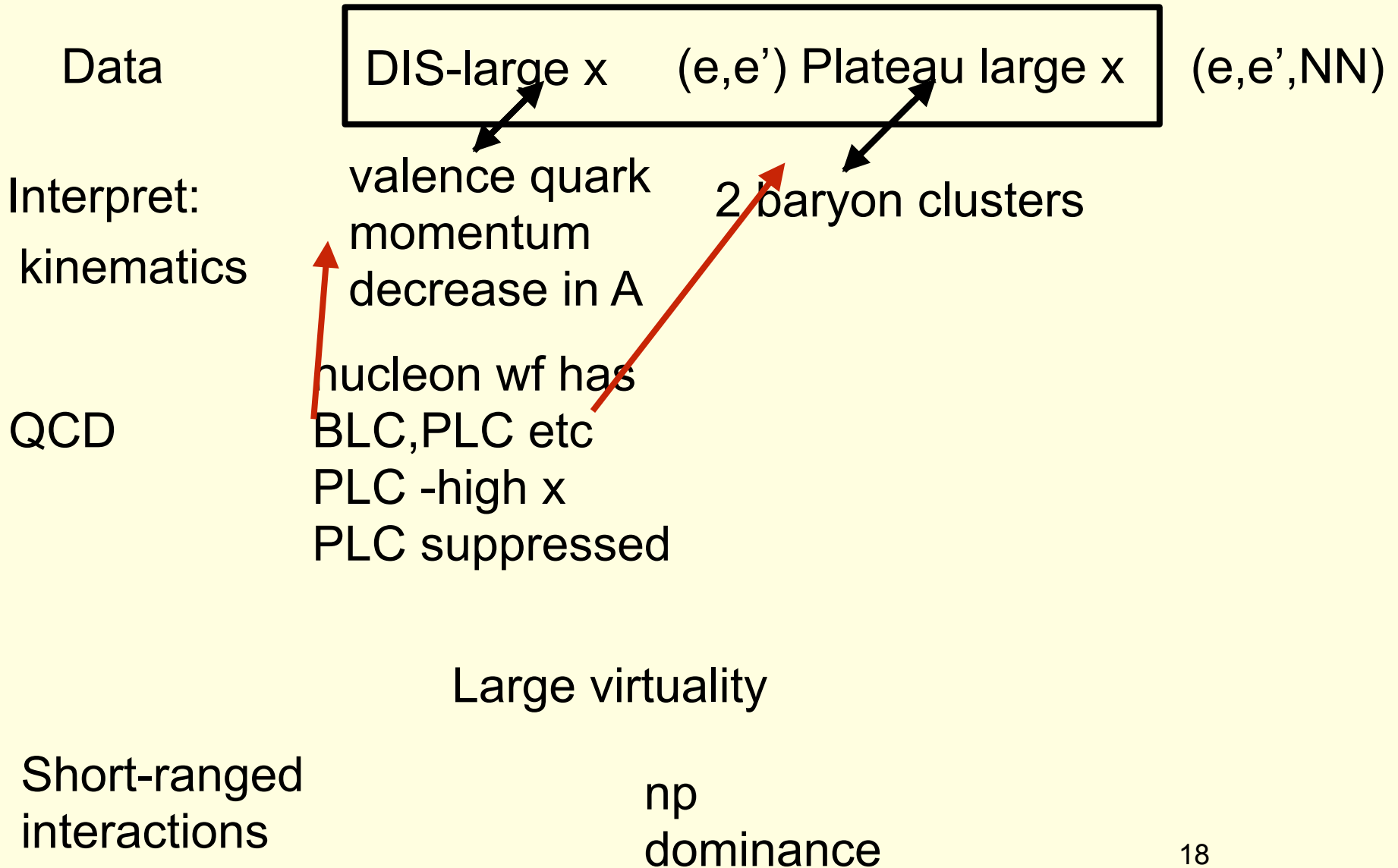
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EMC effect and large x plateau have same cause



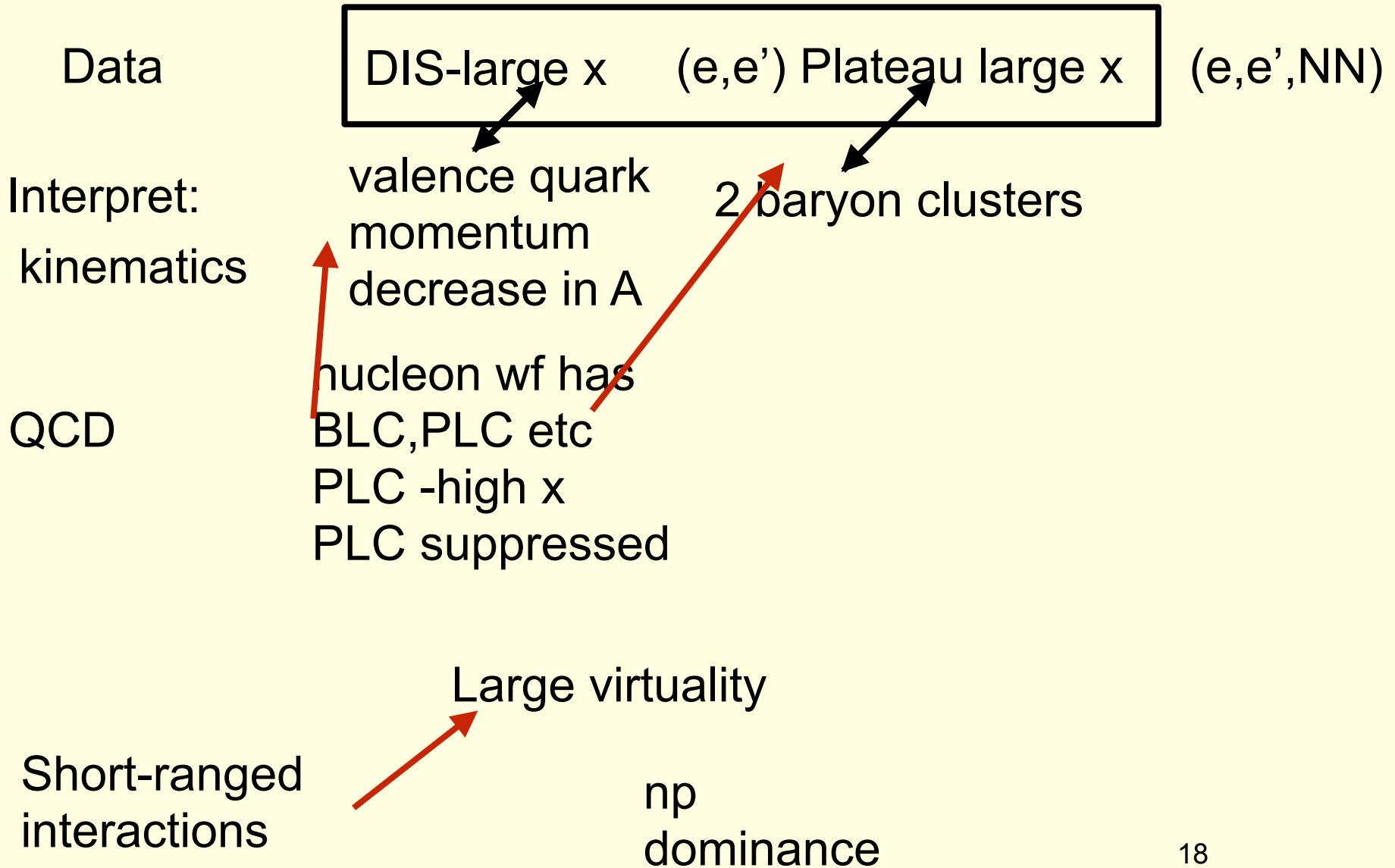
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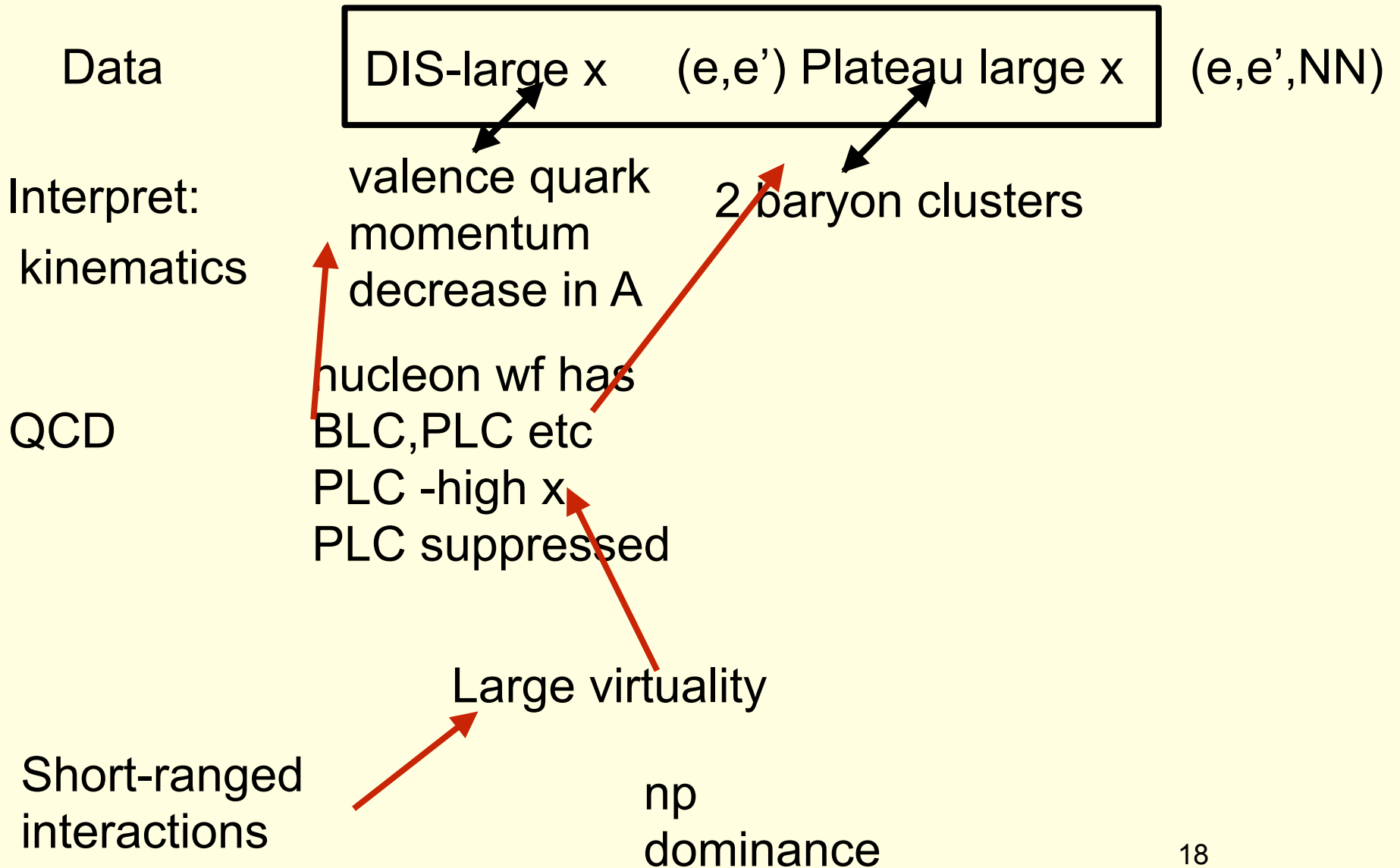
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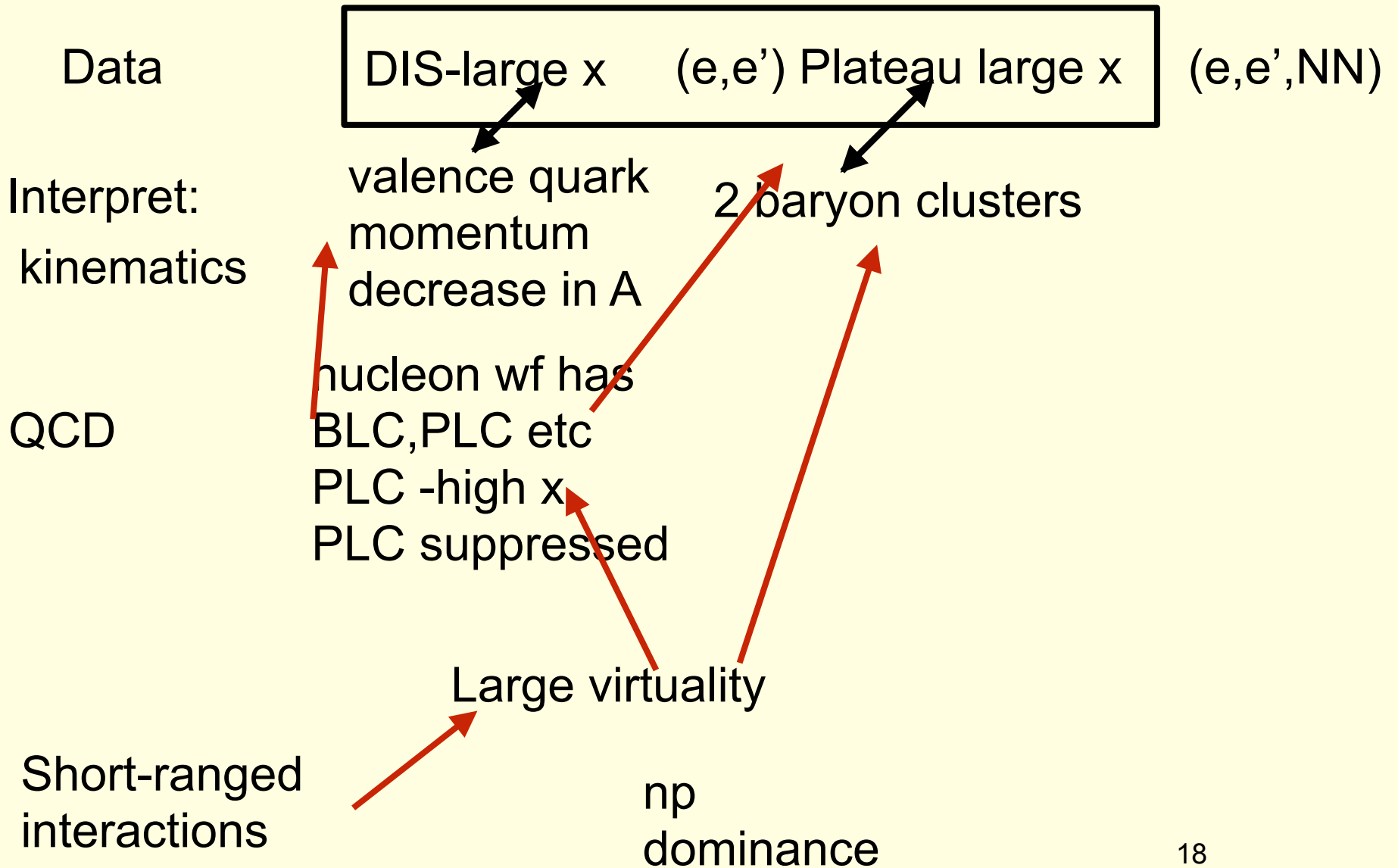
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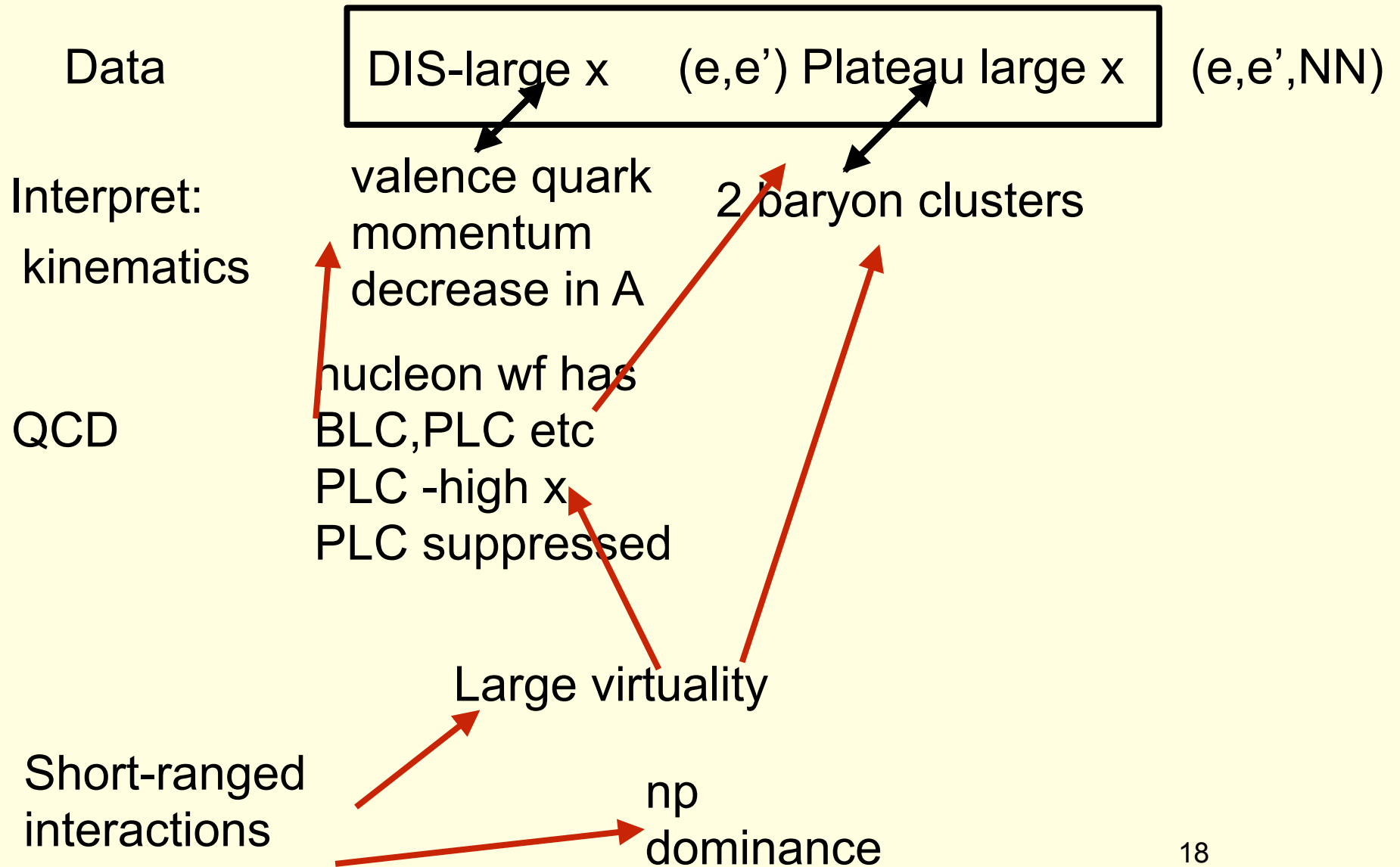
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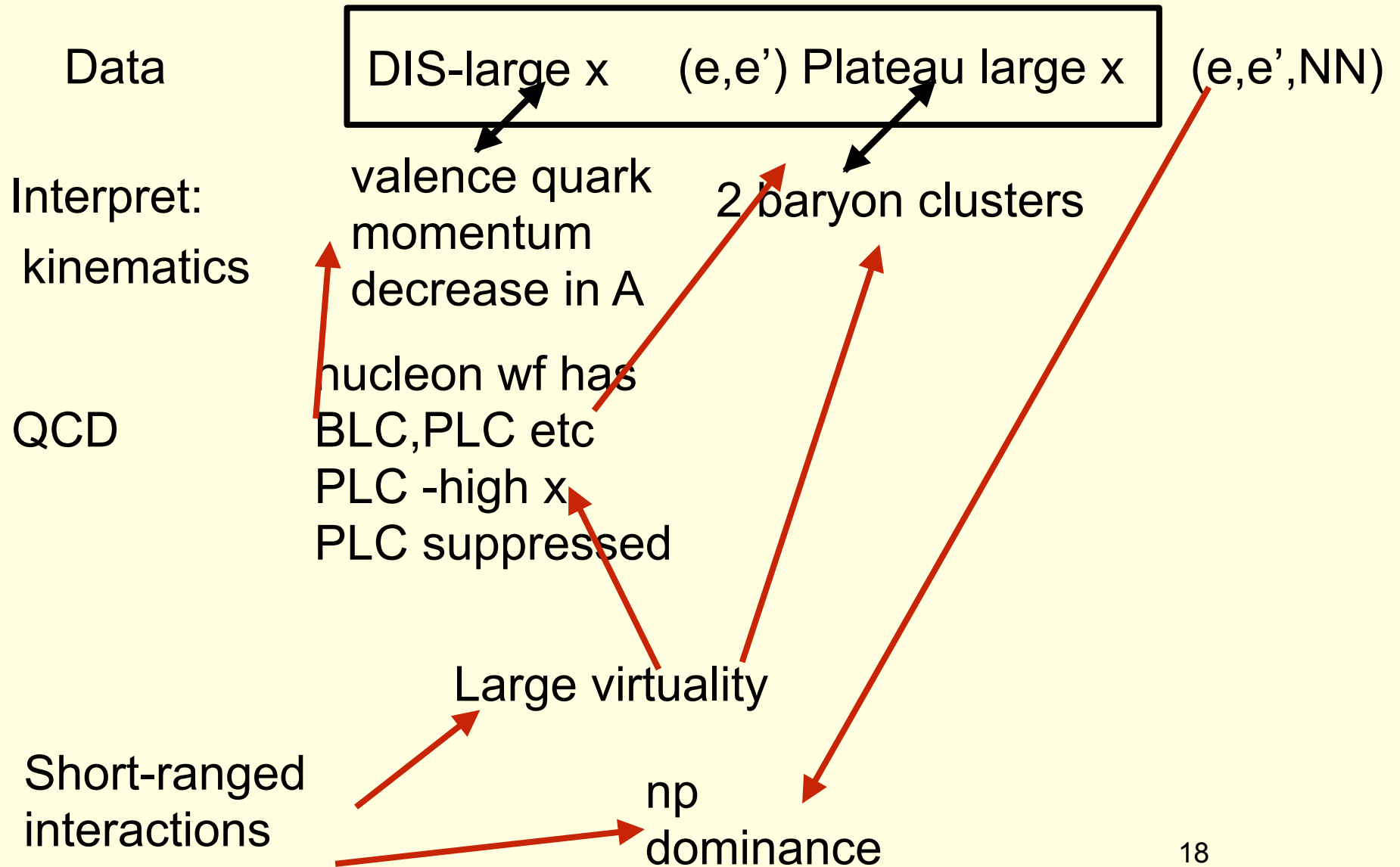
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EMC effect and large x plateau have same cause



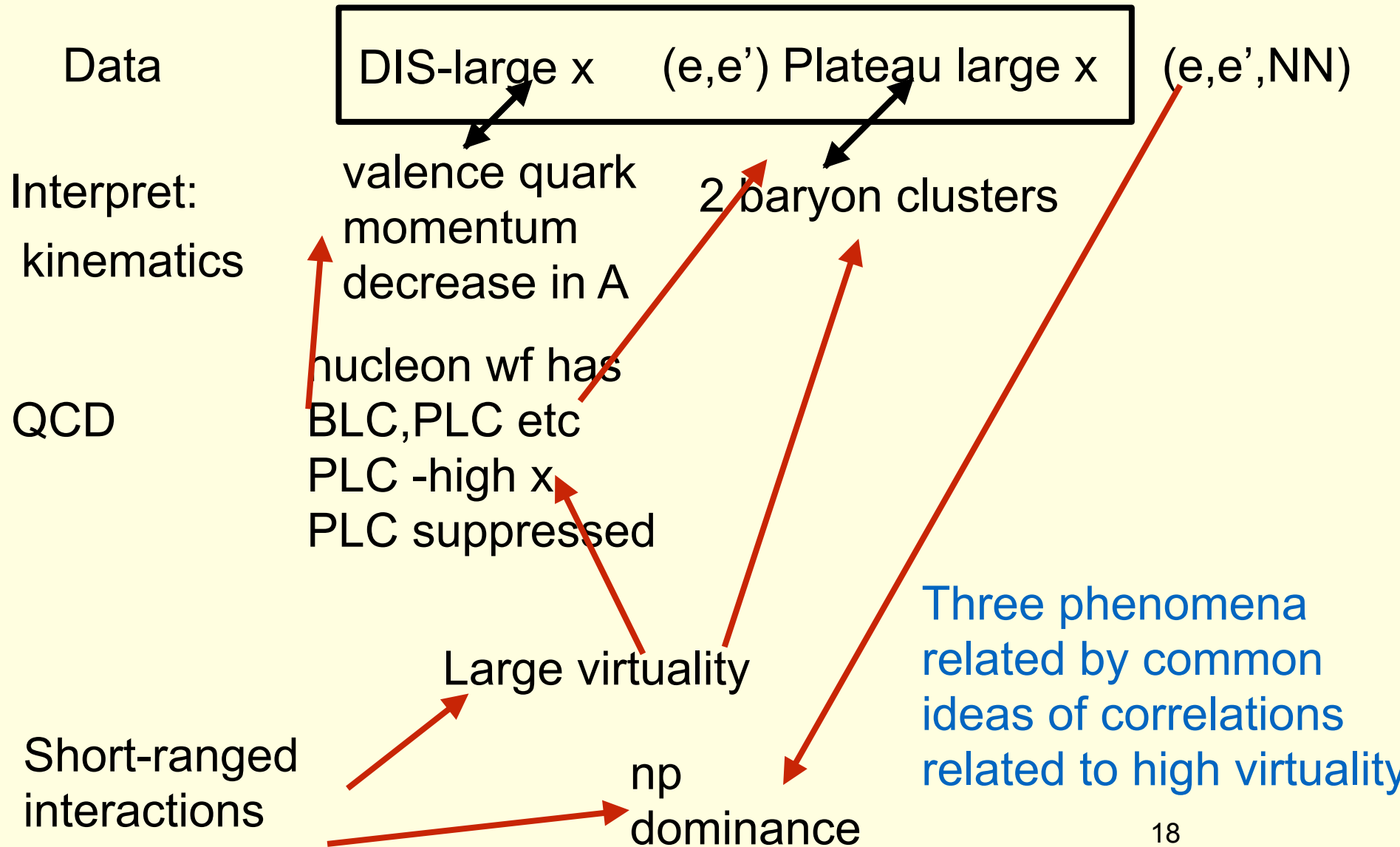
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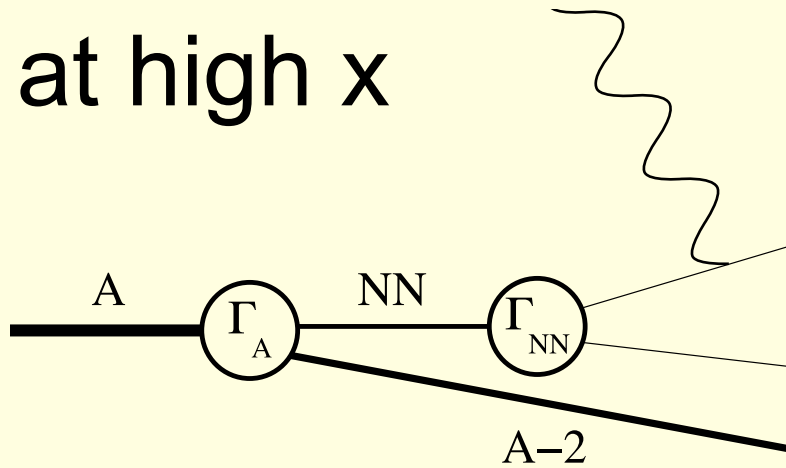
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EMC effect and large x plateau have same cause



Spares follow

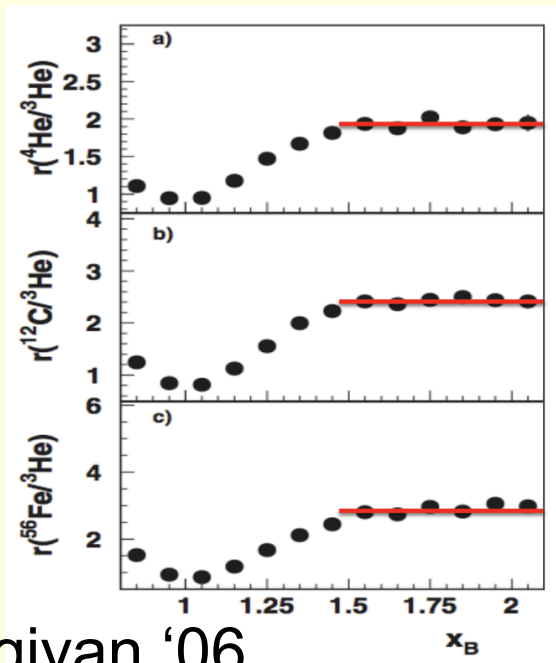
(e,e') at high x



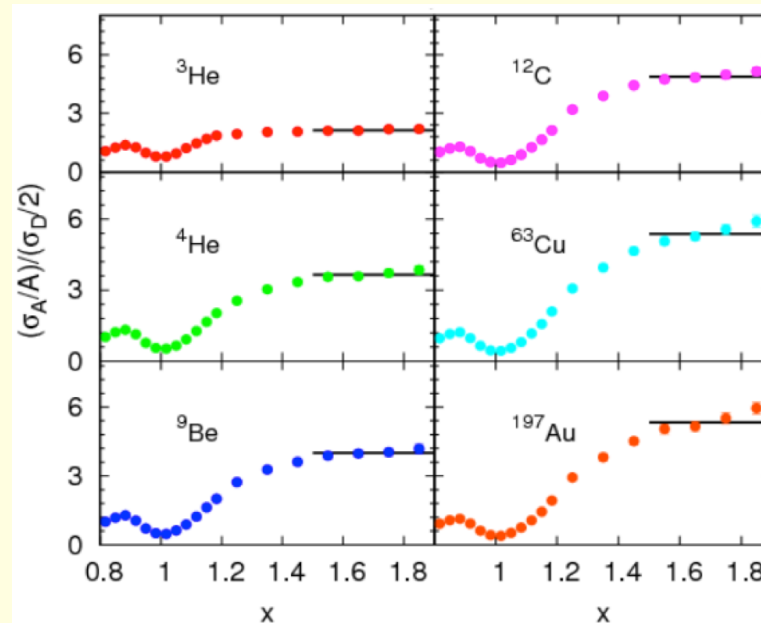
$1 < x < 2$ leading term:

np dominance

$$\frac{2}{A}\sigma(x, Q^2) \approx a_2(A)\sigma_2(x, Q^2) \approx a_2(A)\sigma_D(x, Q^2)$$



a_2



Fomin et al '11

a_2

a_2

Egijan '06

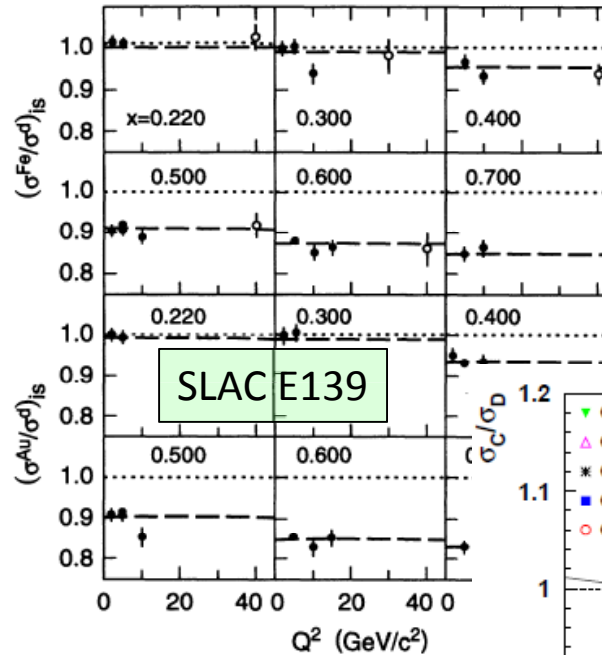
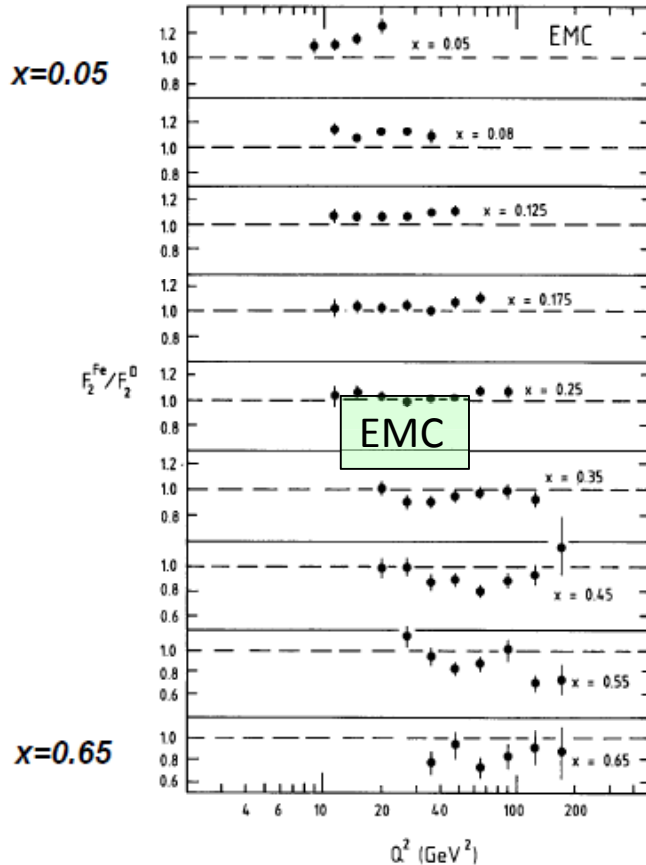
20

Q^2 dependence of nuclear effects

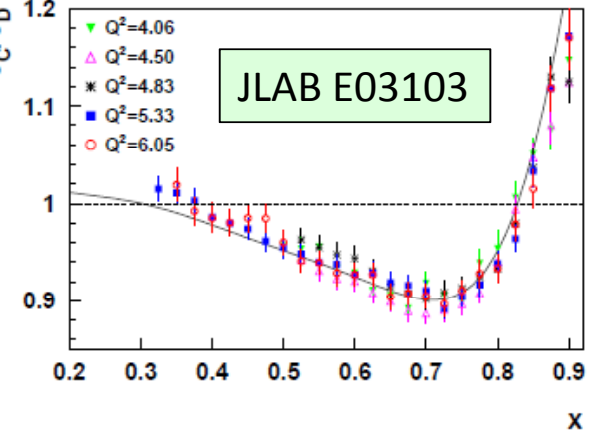
J.J. Aubert et al.,
Nucl. Phys. B 481 (1996) 23

Klaus Rith

J. Gomez et al.,
PRD 49 (1994) 4348



J. Seely et al.,
PRL 103 (2009) 202301



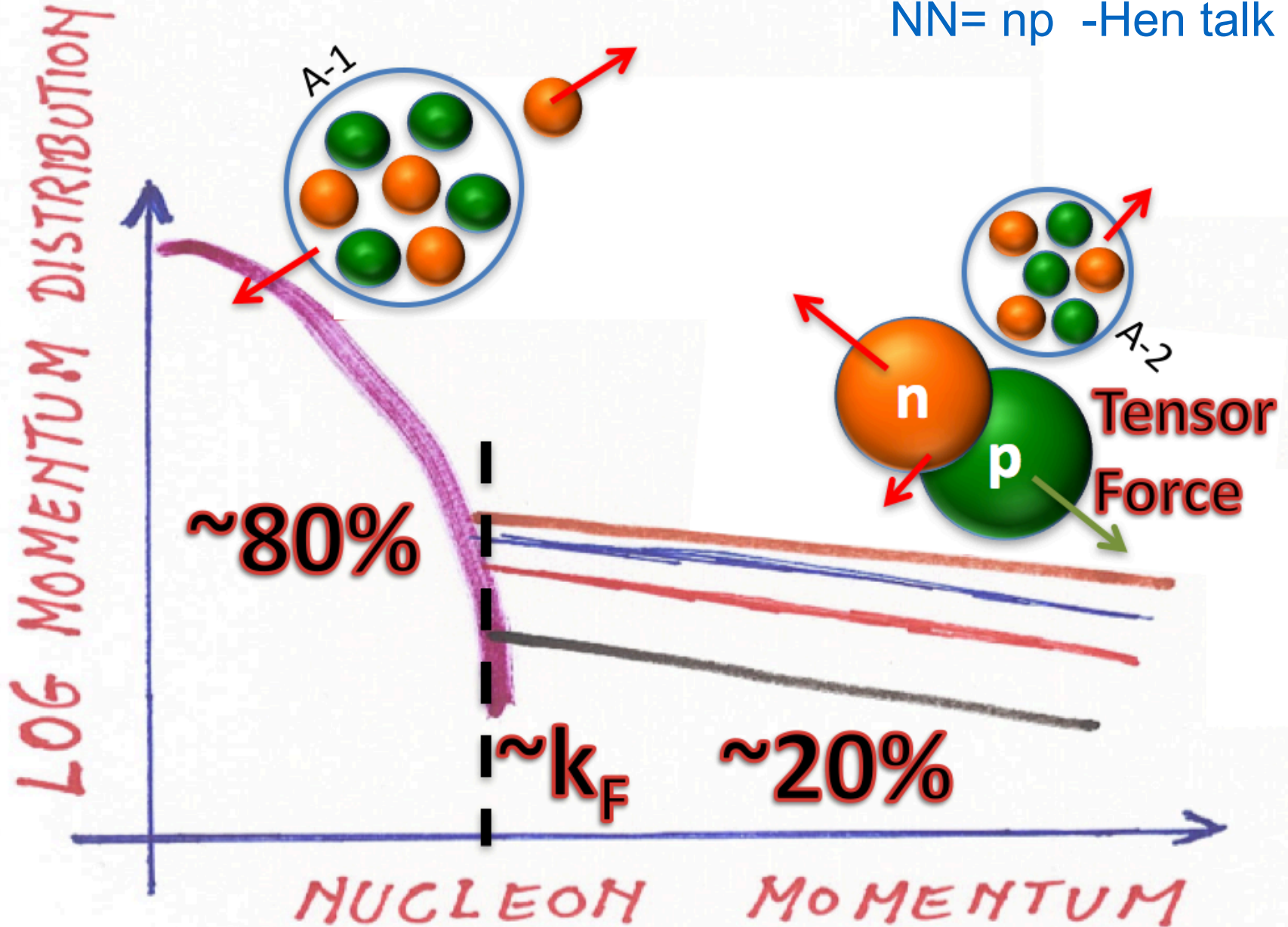
Q^2 dependence of EMC effect is small

Why?

Summary of Correlations

J Ryckebusch pic

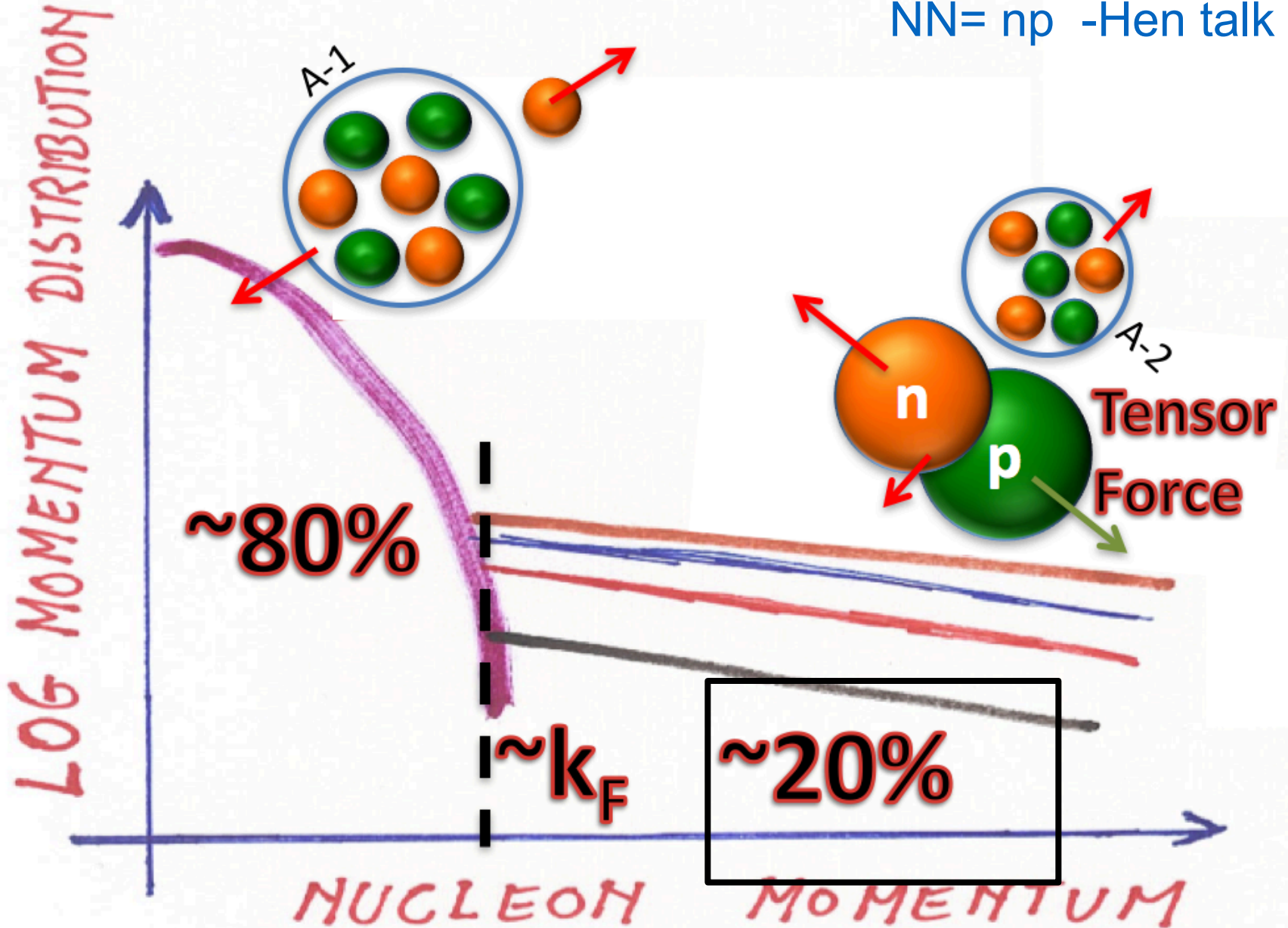
NN= np -Hen talk



Summary of Correlations

J Ryckebusch pic

NN= np -Hen talk



Two nucleon correlations

$n(k)$

Chen et al '16

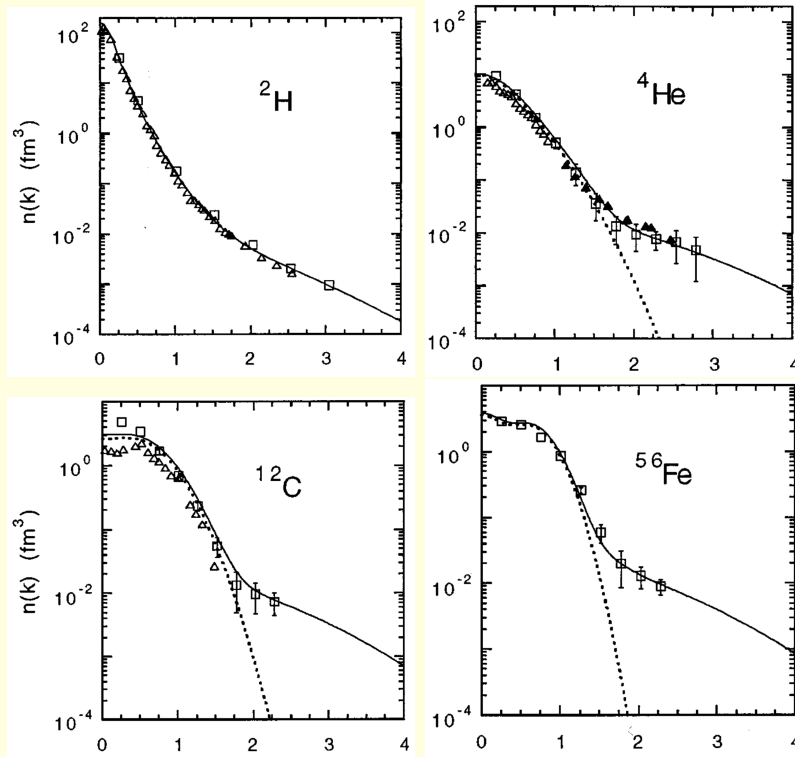
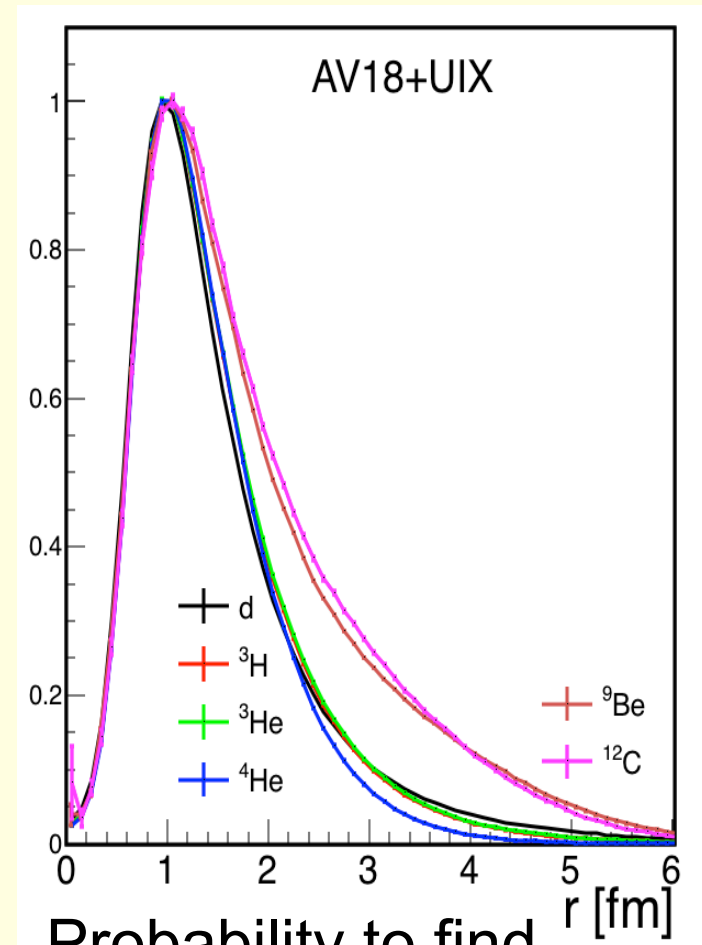


FIG. 4: The nucleon momentum distributions $n_0(k)$ (dashed line) and $n(k)$ (solid line) plotted versus momentum in fm^{-1} for the deuteron, ${}^4\text{He}$, ${}^{12}\text{C}$ and ${}^{56}\text{Fe}$. Figure adapted from (Ciofi degli Atti and Simula,

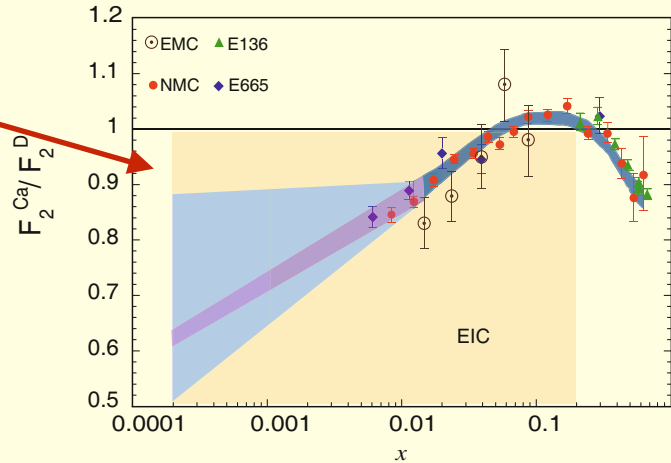
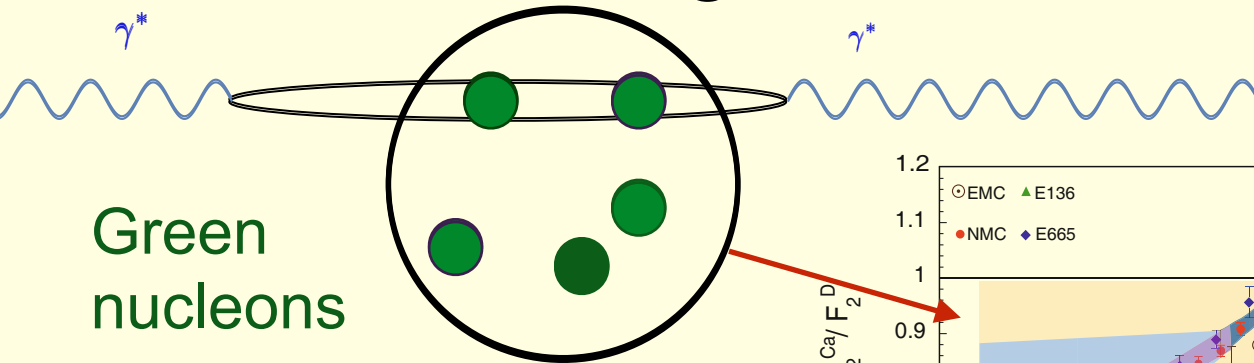


Probability to find
nucleons separated
by r

Final summary

- EMC effect is related to NN correlations in two theories. Mechanism: PLC suppression enhanced by correlations
- Correlations account for high x plateau seen in several experiments
- Correlations are important in nuclear shadowing, important for EIC studies of nuclear gluons

Shadowing & Anti-shadowing

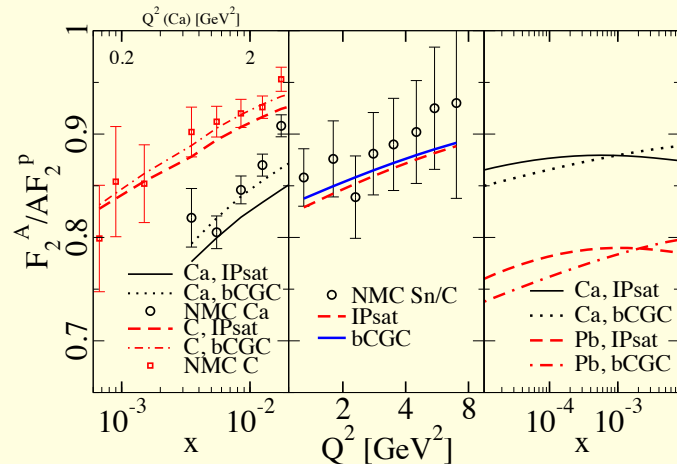


Frankfurt Strikman and Guzey

Physics Reports 512 (2012) 255–393

no parton saturation

Kowalski Lappi Venugopalan PRL 100, 022303 use CGC,
gluon saturation; many recent papers & discussion of detailed models



But nuclear wave functions
enter in **all** approaches



All approaches need two-nucleon density: $\rho^{(2)}(\mathbf{r}_1, \mathbf{r}_2) \equiv \langle A | \sum_{i \neq j} \delta(\mathbf{r}_1 - \mathbf{r}_i) \delta(\mathbf{r}_2 - \mathbf{r}_j) | A \rangle$

Compute thickness function

$$T^{(2)}(b) = \int_{-\infty}^{\infty} dz_1 \int_{-\infty}^{z_1} dz_2 \rho^{(2)}(b_1 = b, z_1; b_2 = b, z_2)$$

Usual approximation

$$\rho^{(2)}(b_1 = b, z_1; b_2 = b, z_2) \approx \rho(b, z_1) \rho(b, z_2)$$

$$T^{(2)}(b) = \frac{1}{2} \left(\int_{-\infty}^{\infty} dz \rho(b, z) \right)^2 = \frac{1}{2} T(b)^2$$

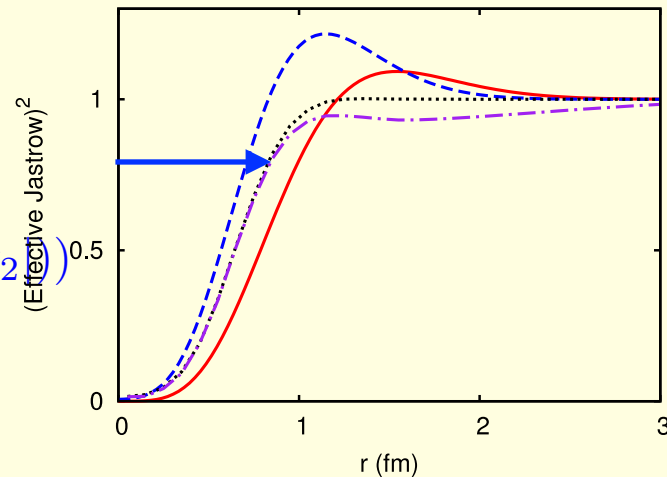
But $\sim 20\%$ of nucleons are in a correlated pair

$$\rho^{(2)}(b_1 = b, z_1; b_2 = b, z_2) = \rho(b, z_1) \rho(b, z_2) (1 + C(|z_1 - z_2|))$$

$$T^{(2)}(b) \approx T(b)^2 \frac{l_c}{R_A}, \quad l_c = 2 \int_0^{\infty} dz C(z)$$

10-20% reduction depending on nucleus!

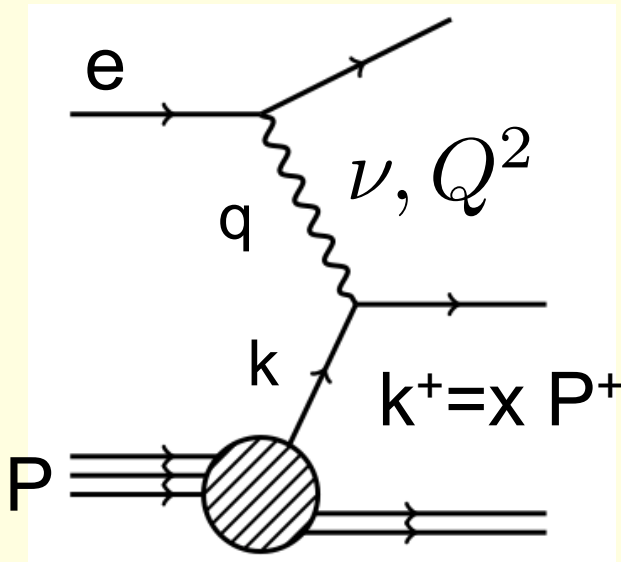
Engel, Carlson, Wiringa '11



$l_c/2$

Shadowing effects are overestimated by significant amounts in all approaches that neglect effects of correlations

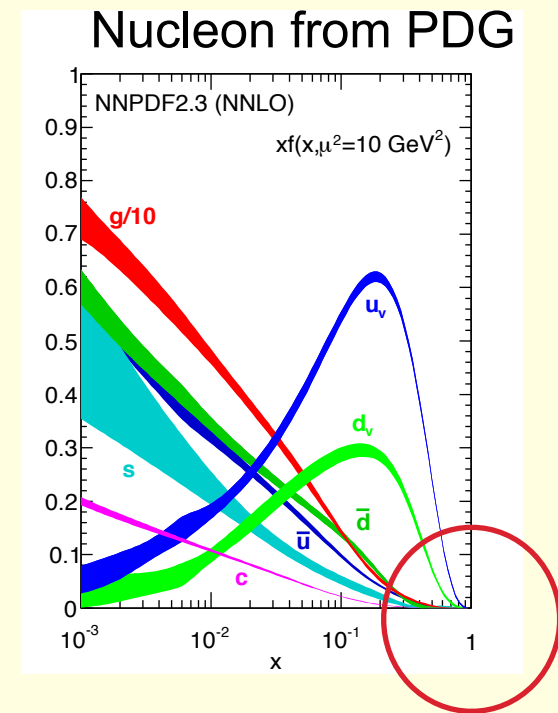
Deep Inelastic Scattering



$$x = \frac{Q^2}{2P \cdot q} = \frac{k^0 + k^3}{P^0 + P^3} = \frac{k^+}{P^+}$$

The 1982 EMC effect involves deep inelastic scattering from nuclei

EMC= European Muon Collaboration



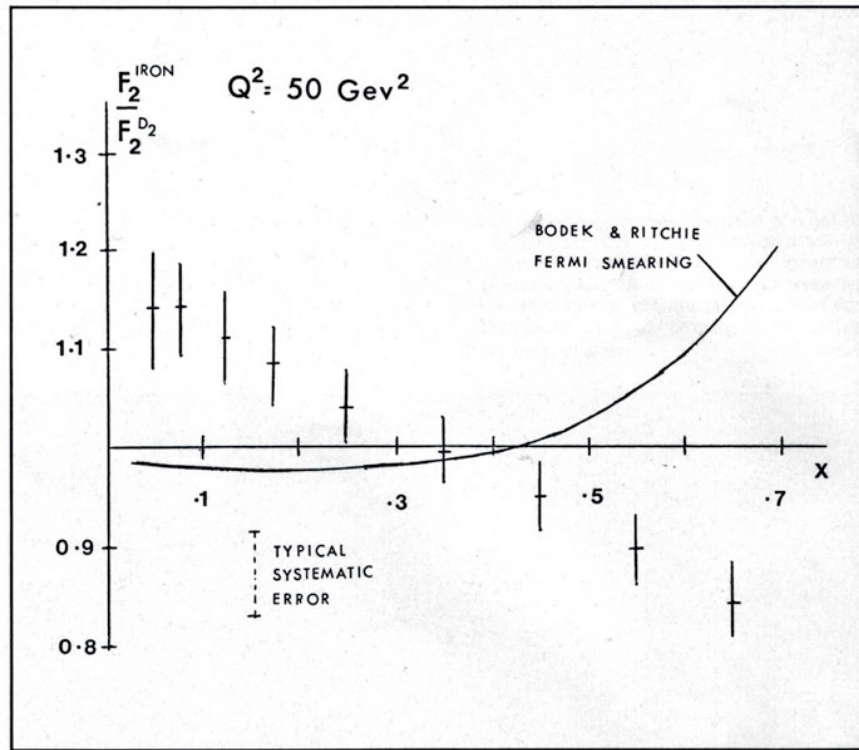
Implication 1 for EIC?

Why are EMC ratios independent of Q^2 ?

- Is the medium modification for matrix elements yielding higher-twist effects same as for leading twist? M. Strikman
- Can EIC add by examining Q^2 dependence
- Large x is on the kinematic edge, but perhaps can do during a phase in which energy is ramped up

The EMC Effect

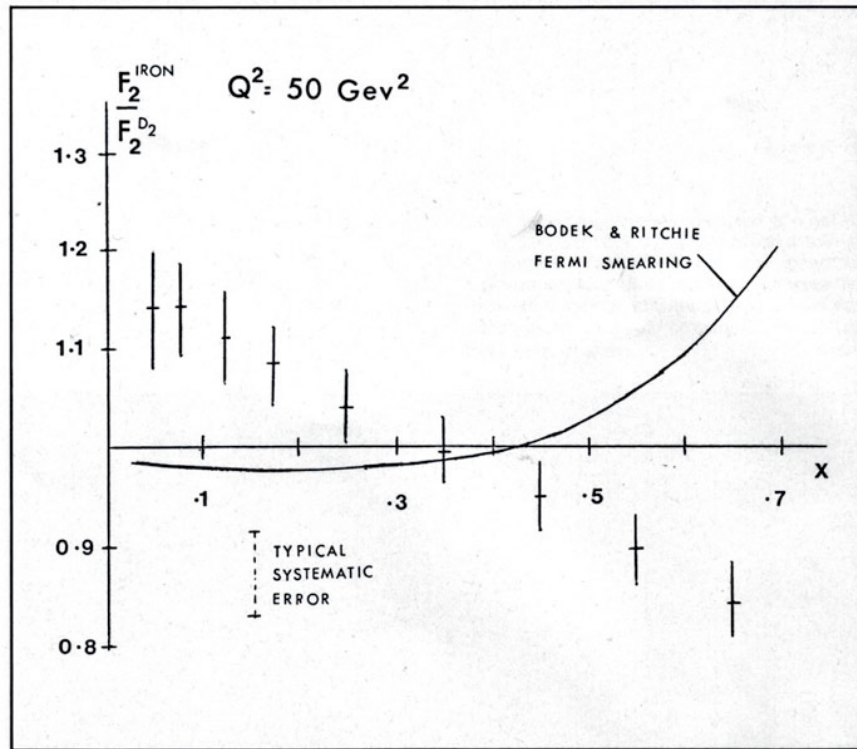
Cern Courier
Nov. 1982



Higinbotham, Miller, Hen, Rith
CERN Courier 53N4('13)24

The EMC Effect

Cern Courier
Nov. 1982



How does the nucleus emerge from QCD, a theory of quarks and gluons?



Higinbotham, Miller, Hen, Rith
CERN Courier 53N4('13)24