

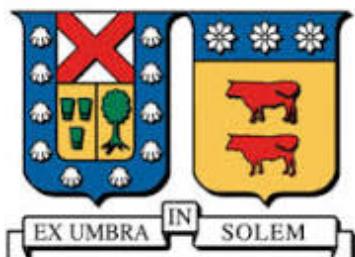
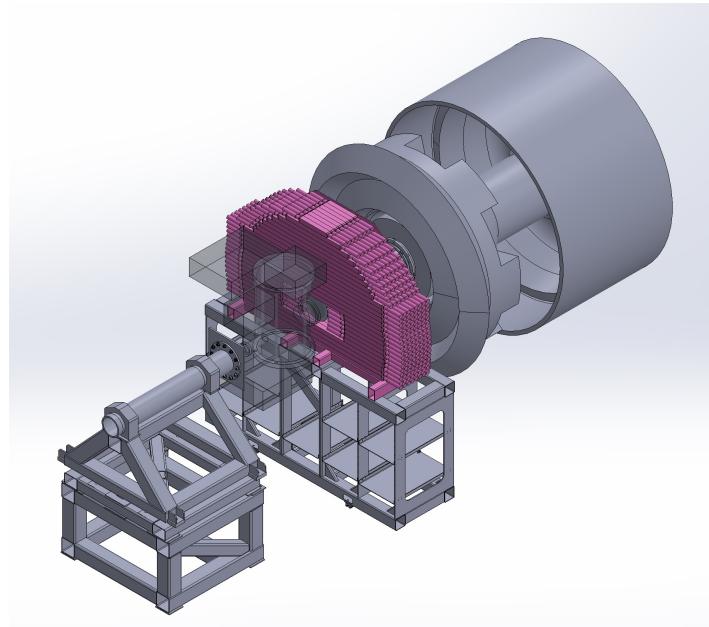
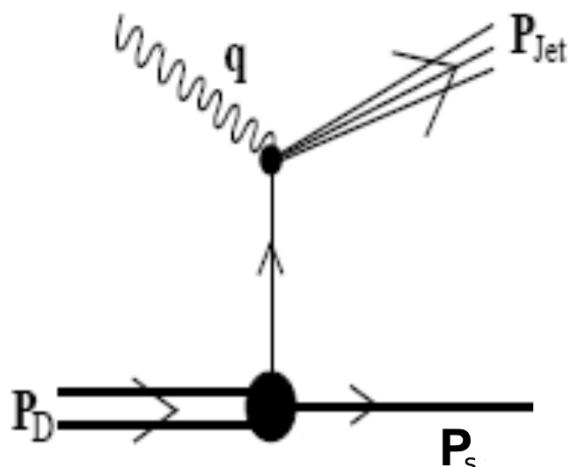
In Medium Proton Structure Functions, SRC, and the EMC Effect

E12-11-003A

Larry Weinstein, Old Dominion University

O. Hen (contact), L.B. Weinstein, E. Piasetzky, H. Hakobyan

Approved to run with deuterium targets in CLAS12

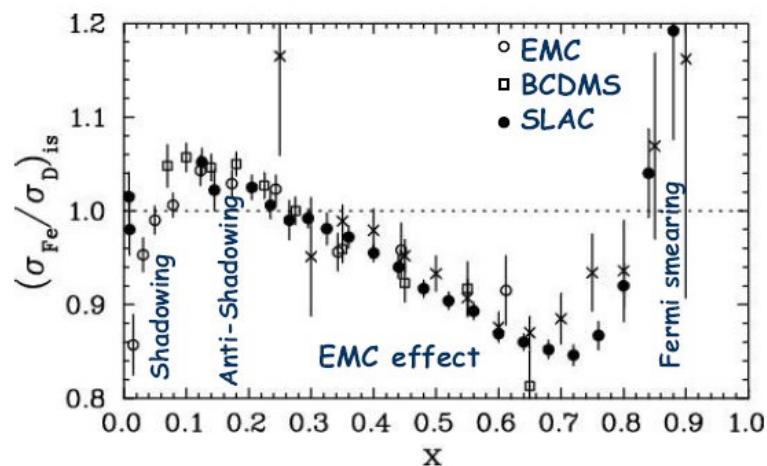
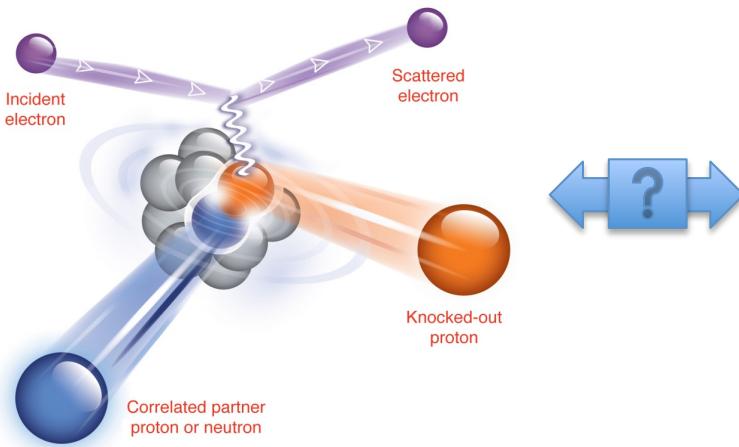


Old Dominion
UNIVERSITY

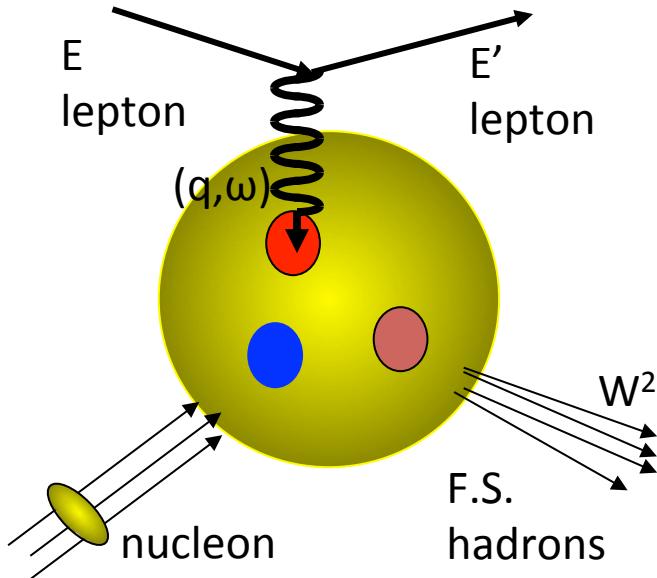


Outline

- The EMC Effect and nucleon modification
- Short Range Correlations
- The EMC – SRC correlation
- Measuring nucleon modification



DIS and the EMC Effect



$$Q^2 = -q_\mu q^\mu = q^2 - \omega^2$$

$$\omega = E' - E$$

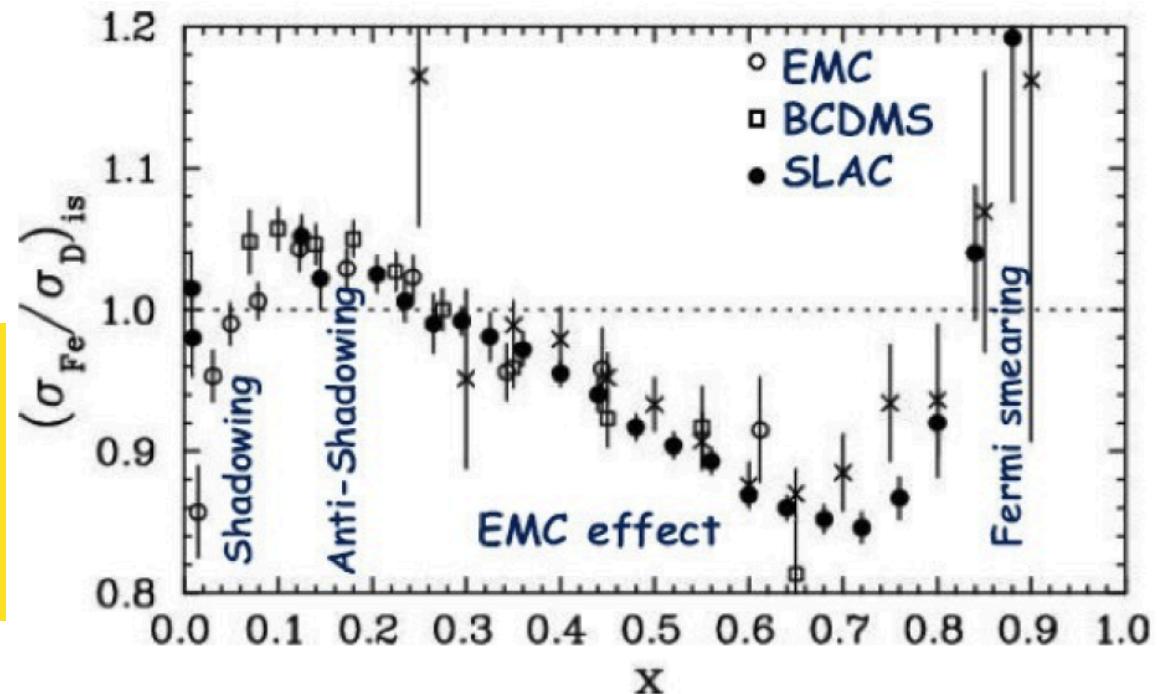
$$0 < x_B = \frac{Q^2}{2m_N\omega} < 1$$

- EMC Scale: several GeV
- Nuclear binding energy scale: several MeV

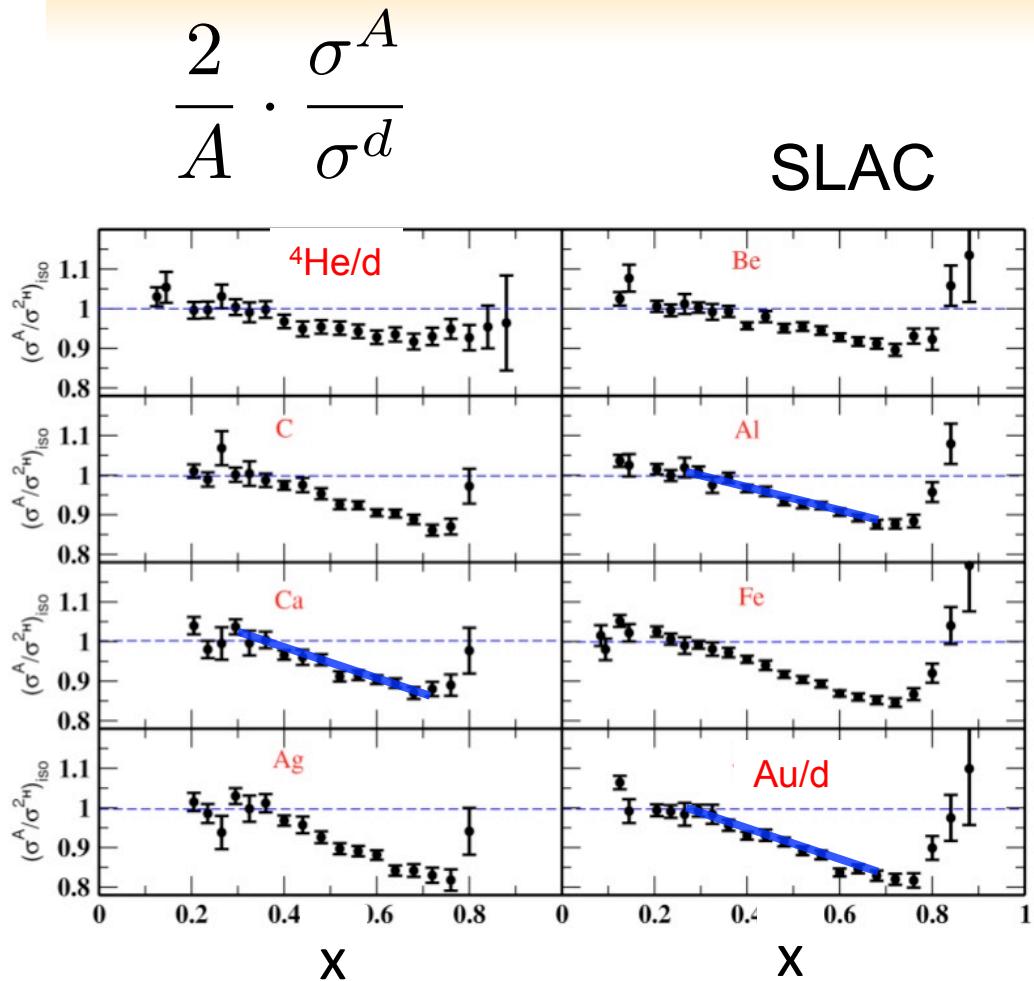
Expectation: DIS of bound nucleons \approx
DIS of a free nucleons

EMC: DIS off bound N \neq
DIS off free N

Origin of EMC effect
unknown!!
Nucleon modification needed.
 $\approx 10^3$ publications

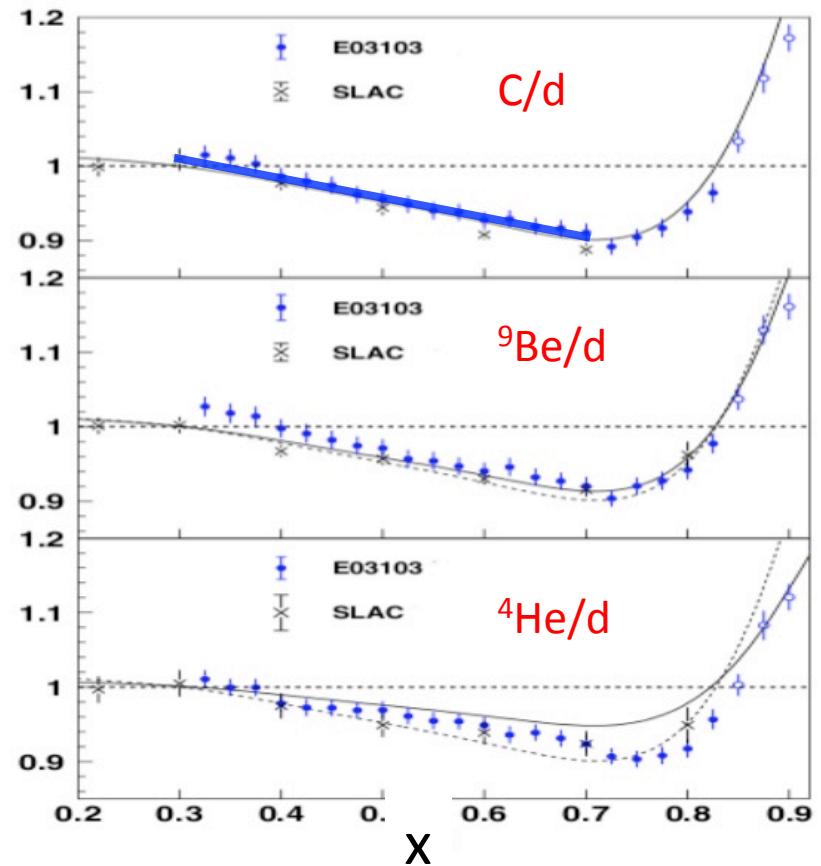


EMC Effect: Universal



Very linear for $0.3 < x_B < 0.7$
 (note that the lines shown are not fits)

Hall C

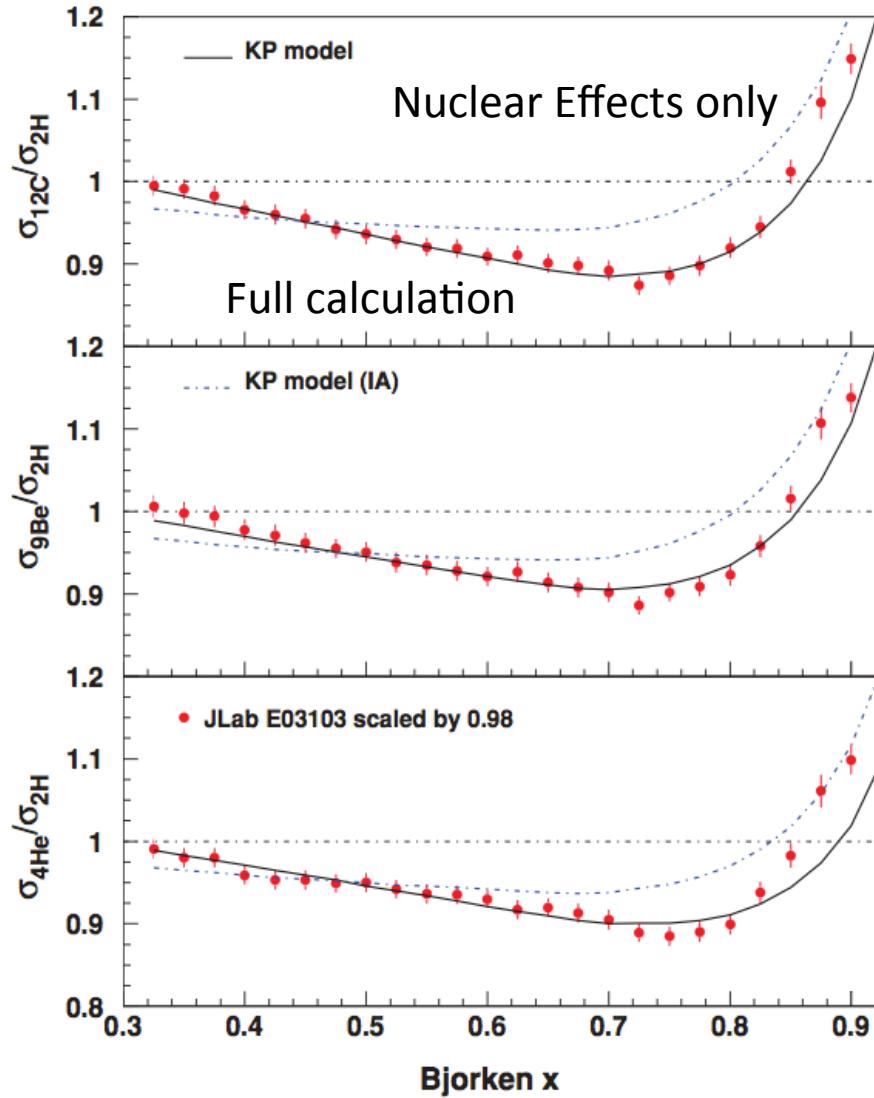


J. Seely, PRL 103, 202301 (2009)
 J. Gomez, PRD 49, 4348 (1994).

Size of effect (“depth” or slope) grows with A

EMC Effect: Theory

- Nuclear Effects:
 - Fermi motion
 - Binding energy
- Full Calculation
 - **Nucleon modification**
 - Phenomenological change to bound nucleon structure functions, proportional to virtuality (p^2)
 - Nuclear pions
 - Shadowing



The EMC Effect

- Nuclear Effect
 - Fermi motion
 - Binding energy
- Full Calculations
 - Nucleon radius
 - Nuclear polarization
 - shadowing

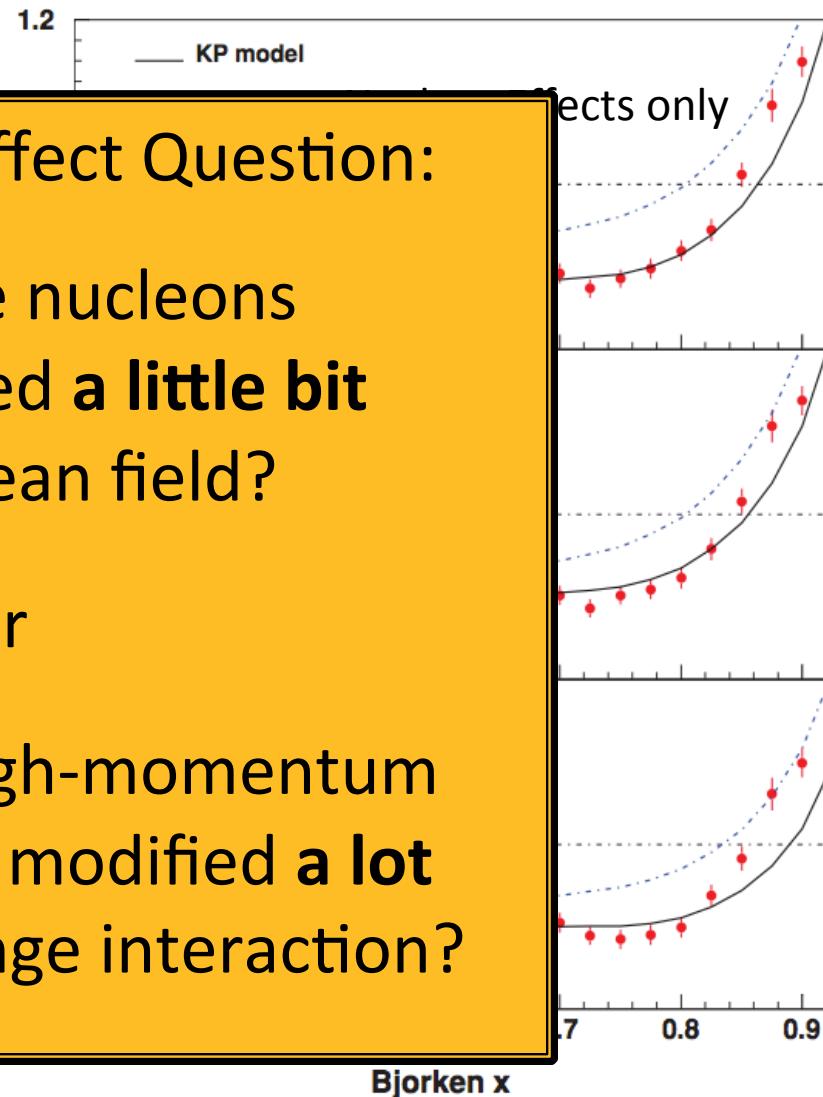
The Big EMC Effect Question:

Are **all** the nucleons
each modified **a little bit**
by the mean field?

or

Are the **few** high-momentum
nucleons each modified **a lot**
by the short range interaction?

Nucleon modification
Phenomenon
nucleon structure
proportional to virtuality (p^2)

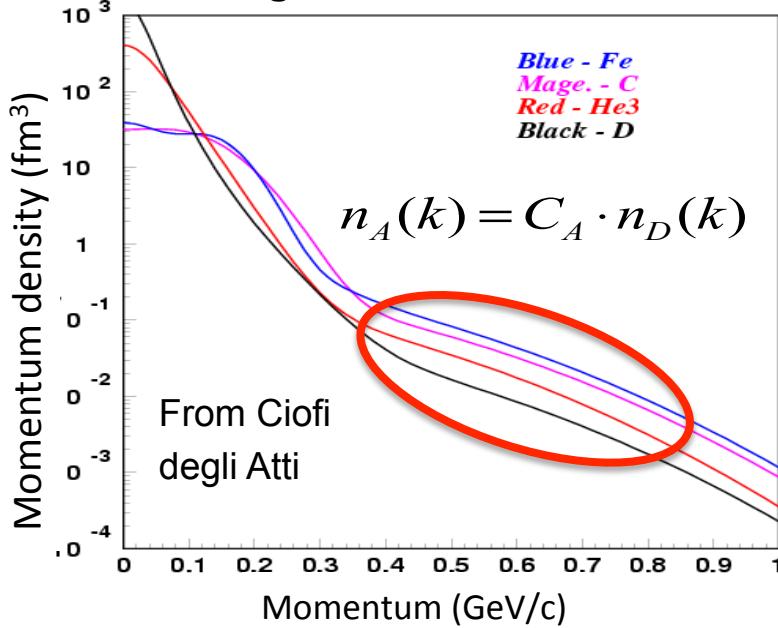


A(e,e') ratios: Universality of SRC (Scaling)

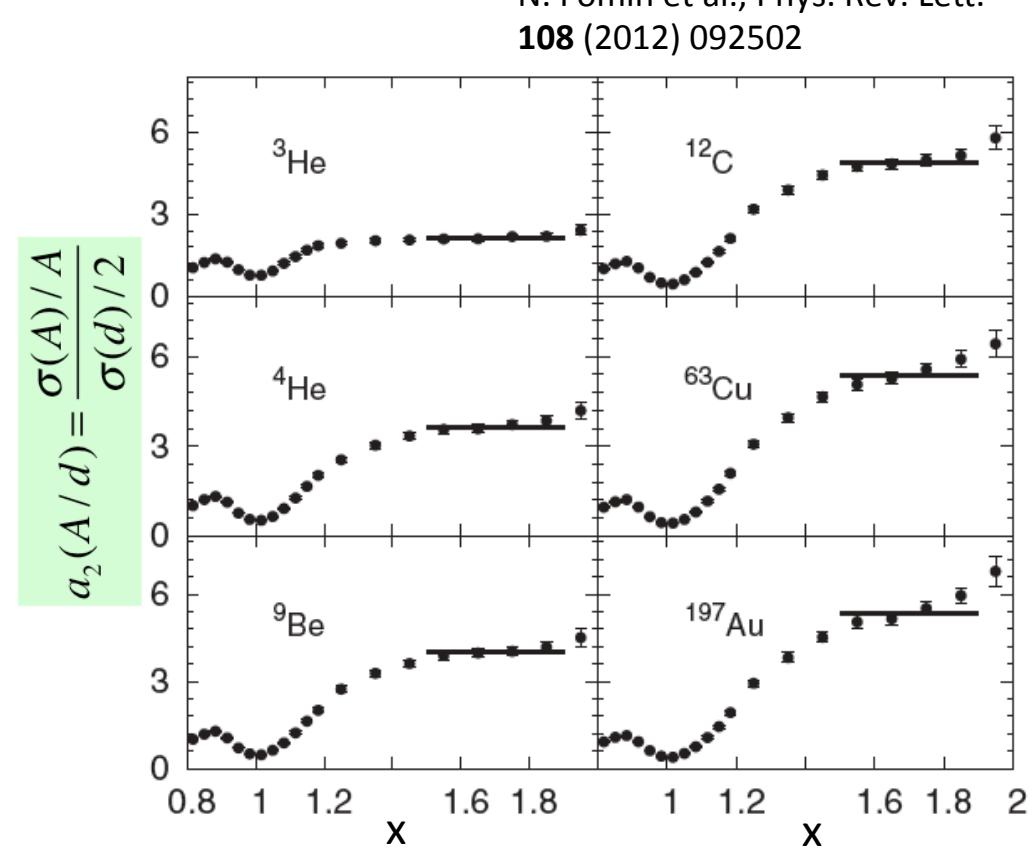
- At high nucleon momenta, strength is different but shapes of distributions are similar

$x = Q^2/2mv$ related to the minimum struck nucleon momentum

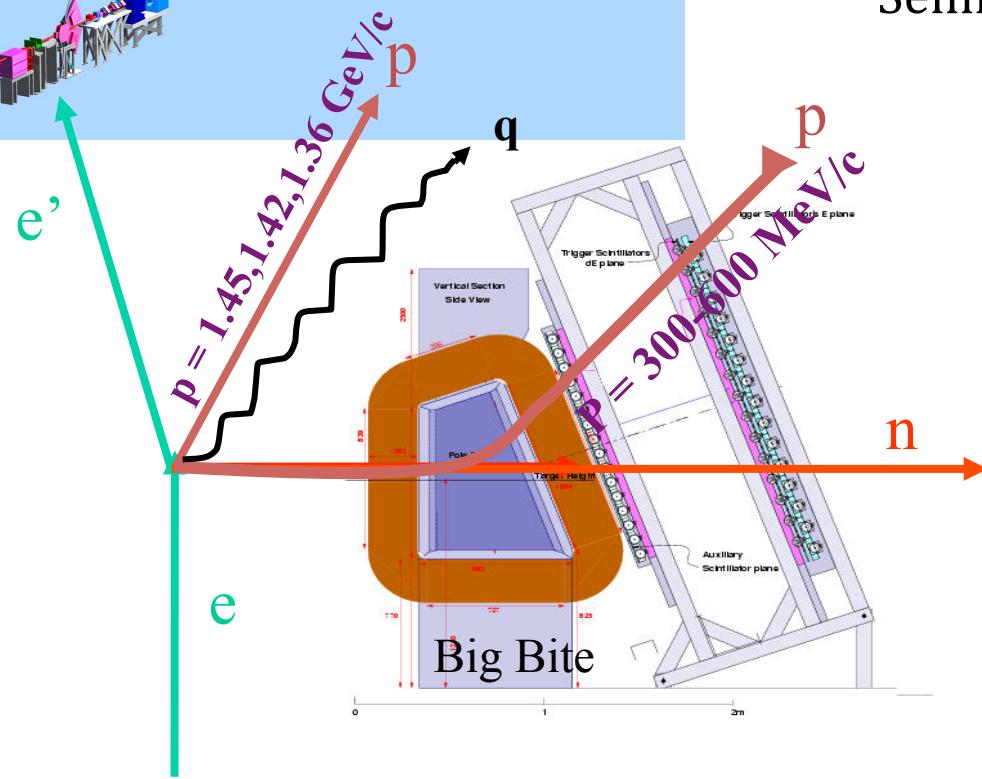
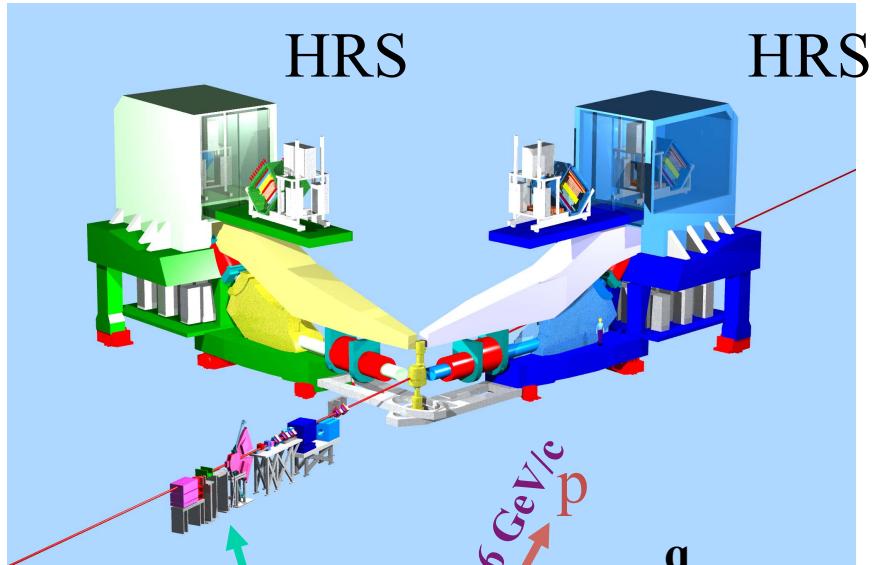
- Scaling!



Nucleus	% 2N corr.
d	4.1 ± 0.8
^3He	8.0 ± 1.6
^4He	15.4 ± 3.2
^{12}C	19.8 ± 4.4
^{56}Fe	23.9 ± 5.3



JLAB Hall A Experiment E01-015



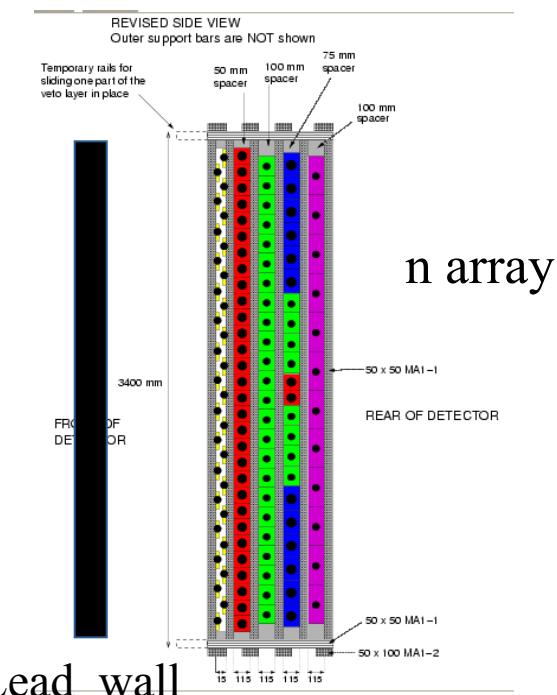
Use $^{12}\text{C}(\text{e},\text{e}'\text{p})$ as a tag to measure
 $^{12}\text{C}(\text{e},\text{e}'\text{pN})/^{12}\text{C}(\text{e},\text{e}'\text{p})$

Optimized kinematics:

$$Q^2 \approx 2.0 \text{ GeV}^2$$

$$x_B \approx 1.2$$

“Semi anti-parallel” kinematics



Looking for correlated partners

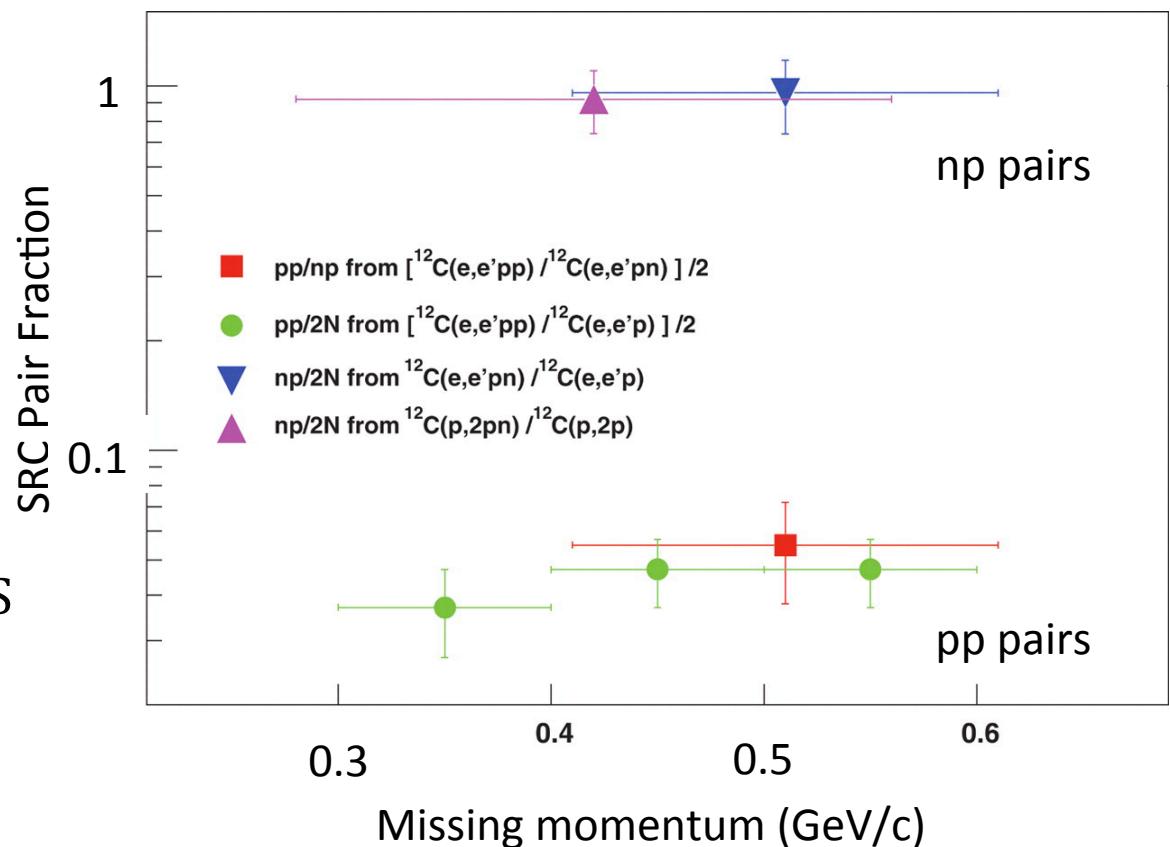
- Almost **all** protons with $p_i > 300$ MeV/c in $^{12}\text{C}(e,e'pn)$ have a paired proton or neutron with similar momentum in opposite direction

$$\frac{^{12}\text{C}(e,e'pn)}{^{12}\text{C}(e,e'p)} = 96_{-23}^{+4} \%$$

$$\frac{^{12}\text{C}(e,e'pp)}{^{12}\text{C}(e,e'p)} = 9.5 \pm 2 \%$$

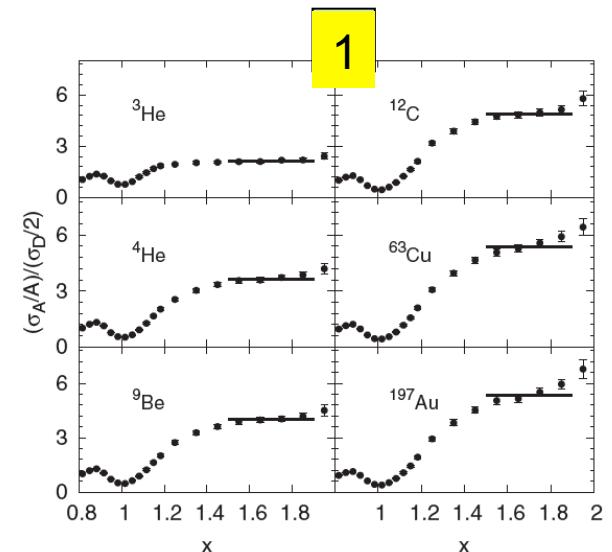
np SRC is ~ 18 times pp (nn) S

Ratios corrected for acceptance,
det. efficiency and SCX

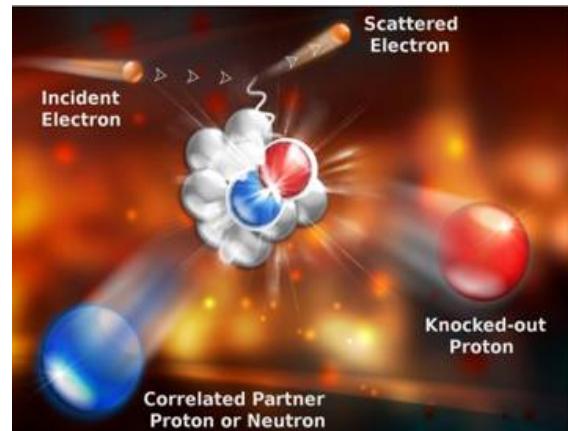


What do we know about SRC?

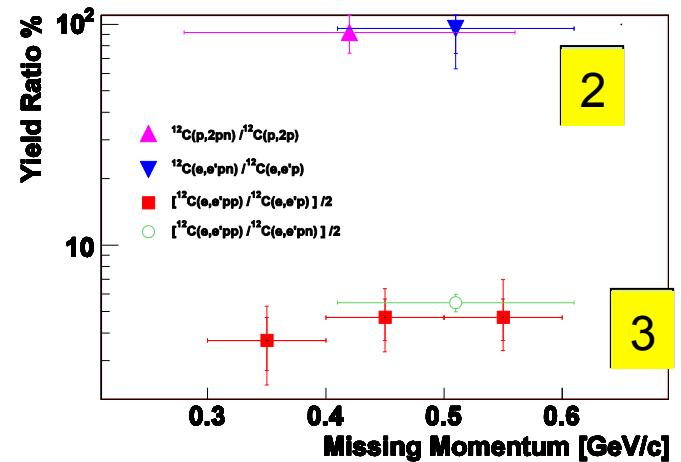
- 1** The probability for a nucleon to have momentum $\geq 300 \text{ MeV}/c$ in medium nuclei is $\sim 25\%$
- 2** More than $\sim 90\%$ of all nucleons with momentum $\geq 300 \text{ MeV}/c$ belong to 2N-SRC.
- 3** 2N-SRC dominated by np pairs



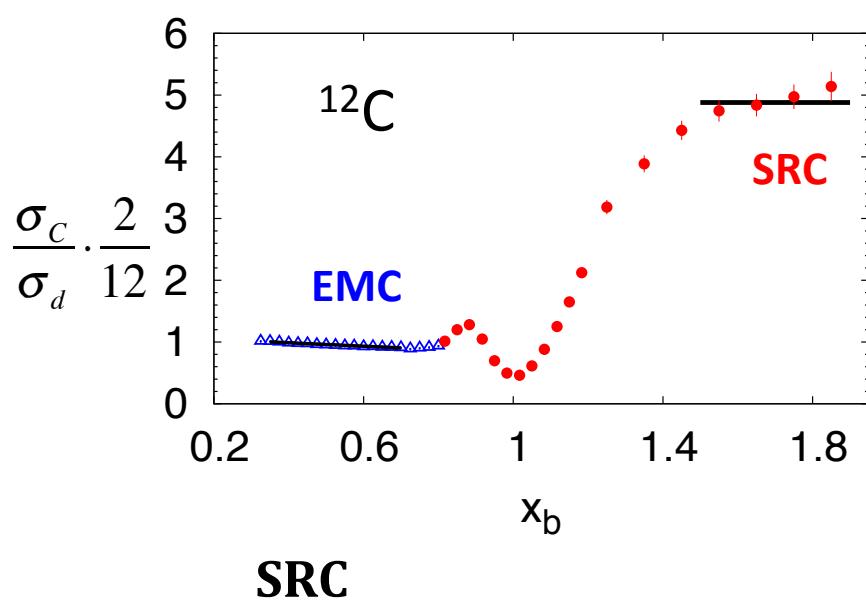
PRL 108 (2012) 092502



PRL 162504(2006); Science 320, 1476 (2008)



Correlations Between EMC and SRC



SRC

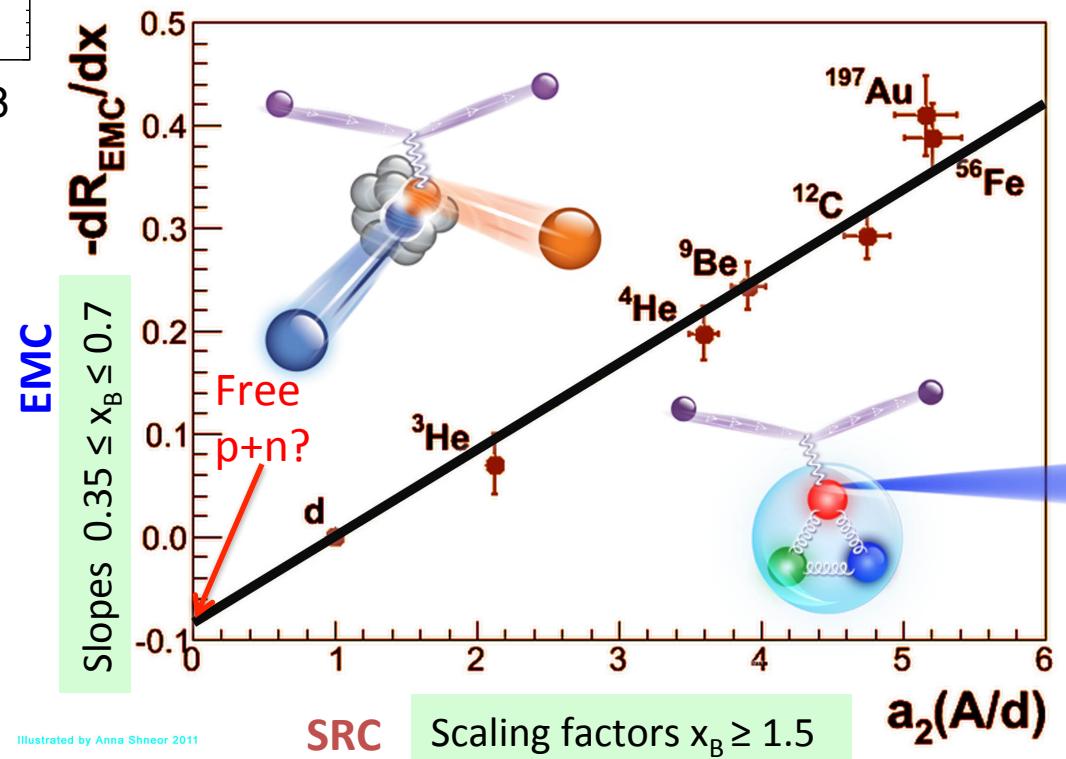
- High nucleon momenta

EMC

- Is EMC related to high-momentum nucleons?
- Are high-momentum nucleons modified?

JLab data

J. Seely *et al.*, PRL **103** (2009) 202301
N. Fomin *et al.*, Phys. Rev. Lett. **108** (2012)
092502



Illustrated by Anna Shneor 2011

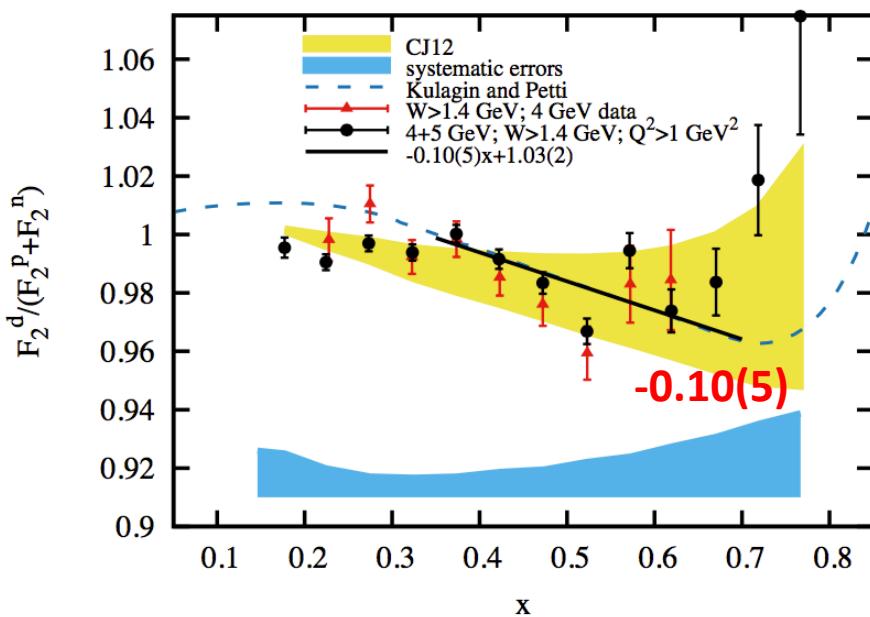
Weinstein *et al.*, PRL **106**, 052301 (2011)
O. Hen *et al.*, PRC **85**, 047301 (2012)

Explore Connection between EMC and SRC

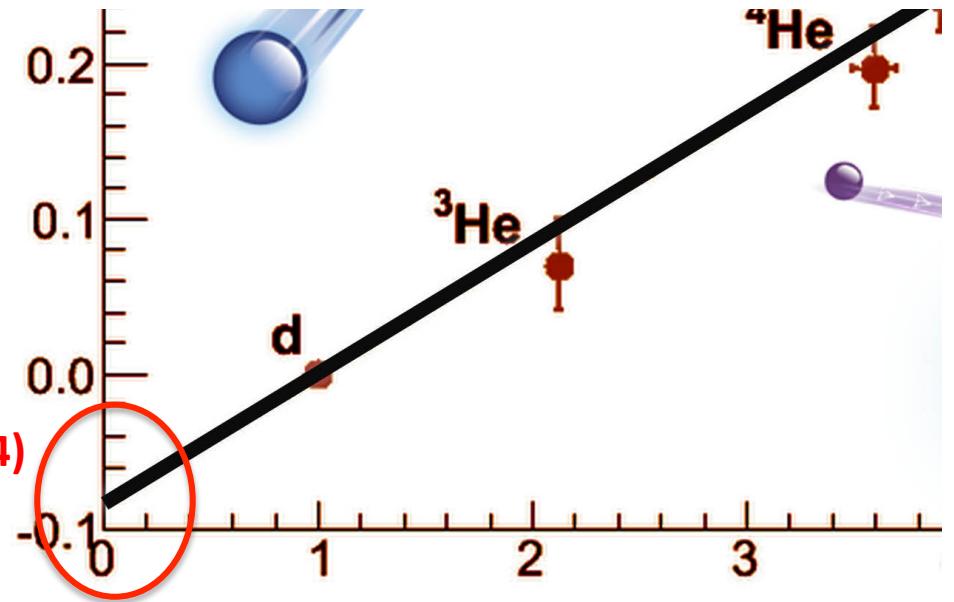
Do high-momentum nucleons have a large EMC effect?

Deuteron

- Is there an “EMC” effect in the deuteron?
- Is the “EMC” effect larger at high-momentum?



[BoNuS: Griffioen et al, PRC **92**, 015211 (2015)]



$$\sigma_d^{DIS} \neq \sigma_p^{DIS} + \sigma_n^{DIS}$$

$$\frac{\sigma_d}{\sigma_p + \sigma_n}(x_B = 0.6) \approx 0.976$$

~2.4% modification, ~5% high momentum:

$$\frac{\sigma_p^*}{\sigma_p} \approx \frac{\sigma_n^*}{\sigma_n} \approx \frac{2.4\%}{5\%} \approx 0.5$$

Testing the BIG Question:

Measure the in-medium modified(?) structure function F_2 in DIS as a function of nucleon momentum

$$\frac{d^3\sigma}{d\Omega dE'} = \left(\frac{d\sigma}{d\Omega} \right)_{Mott} \left[\frac{1}{\omega} F_2(x_B, Q^2) + \frac{2}{M} F_1(x_B, Q^2) \cdot \tan^2 \left(\frac{\theta_e}{2} \right) \right]$$

(F_1 and F_2 are related by R , the measured ratio of longitudinal and transverse cross sections. Thus measuring the cross section yields F_2 .)

- ◆ No nucleons modified
 - F_2 independent of momentum
 - $F_2 \neq$ free F_2 (small difference)
- ◆ All nucleons modified
 - F_2 varies with momentum
 - $F_2 \neq$ free F_2 (big difference)
- ◆ SRC nucleons modified
 - F_2 varies with momentum
 - $F_2 \neq$ free F_2 (big difference)

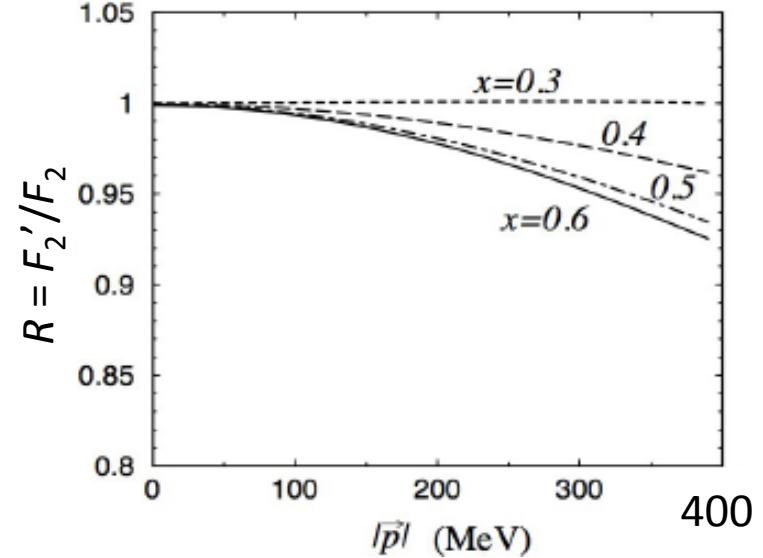
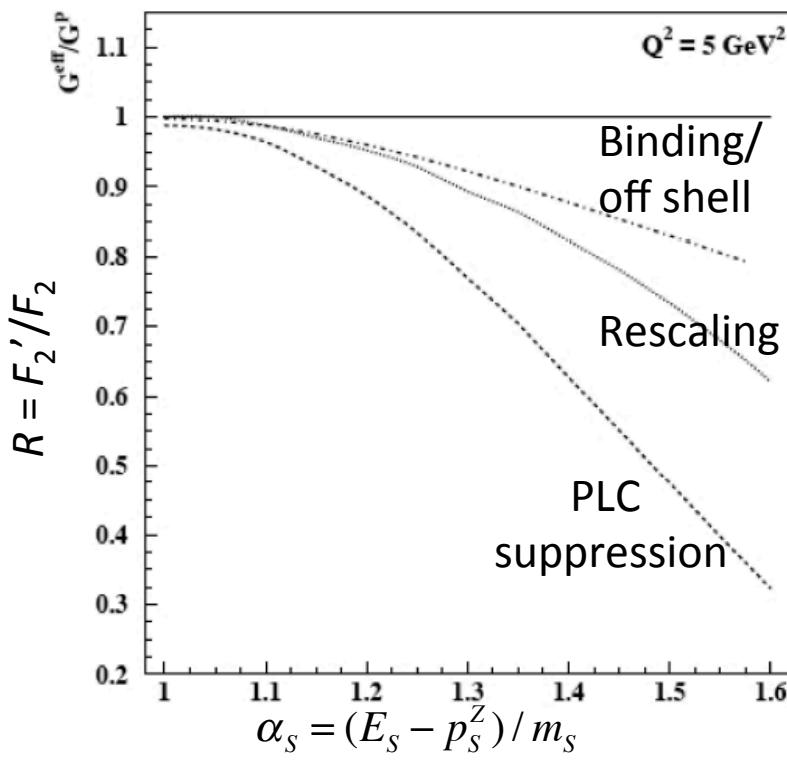
Predicted Dependence of F_2 on Momentum

Melnitchouk, Schreiber, Thomas, Phys. Lett. B 335, 11 (1994)

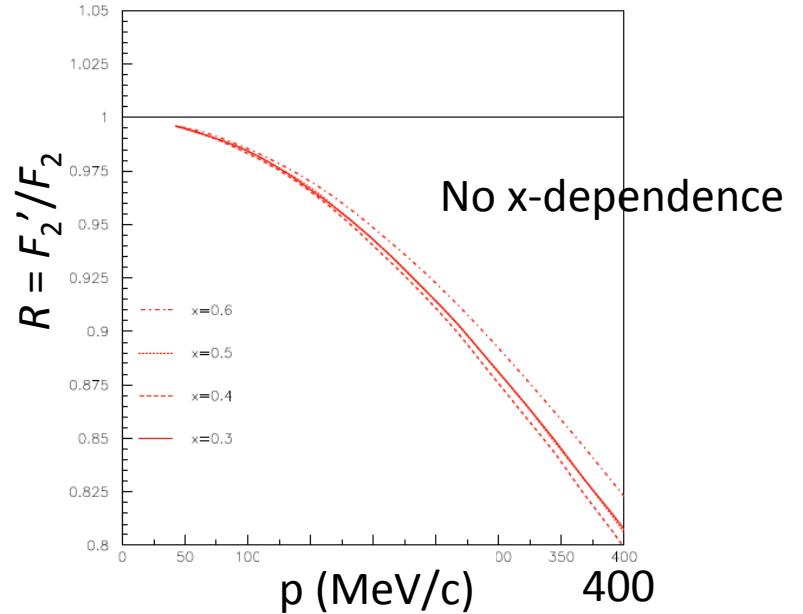
Dependence on:

- Models
- Nucleon momentum and x_B
- Nucleon momentum, not x_B

Melnitchouk, Sargsian, Strikman,
Z. Phys. A 359, 99 (1997)



Gross, Liuti, Phys. Lett. B 356, 157 (1995)



No x -dependence

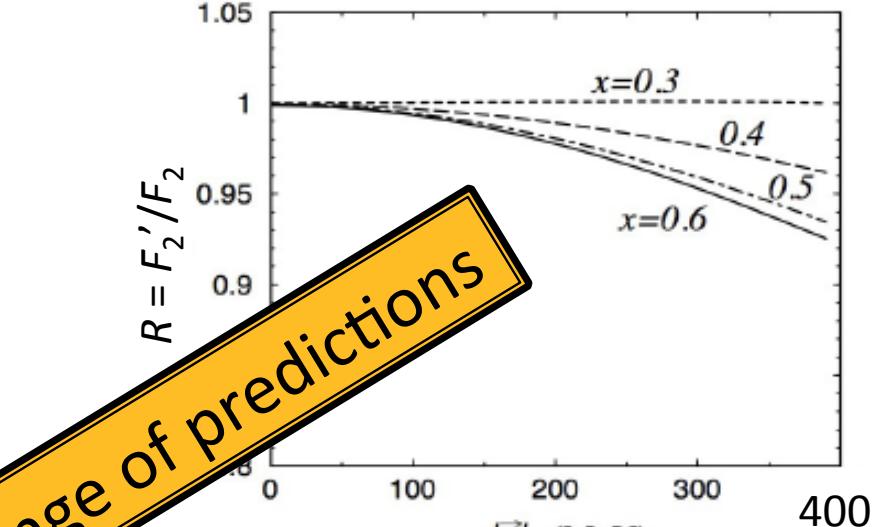
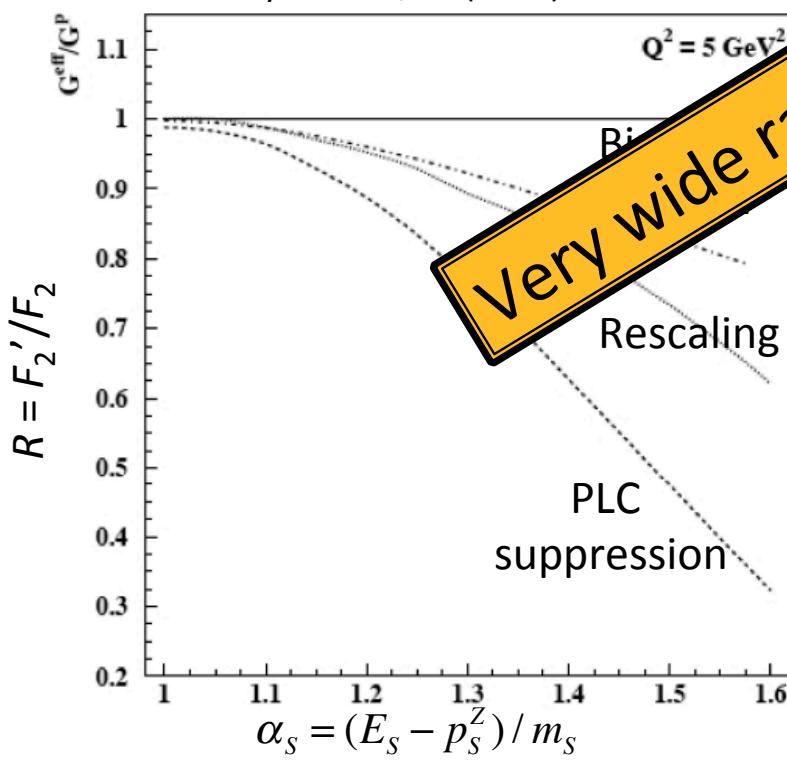
Predicted Dependence of F_2 on Momentum

Melnitchouk, Scieber, Thomas, Phys. Lett. B **335**, 11 (1994)

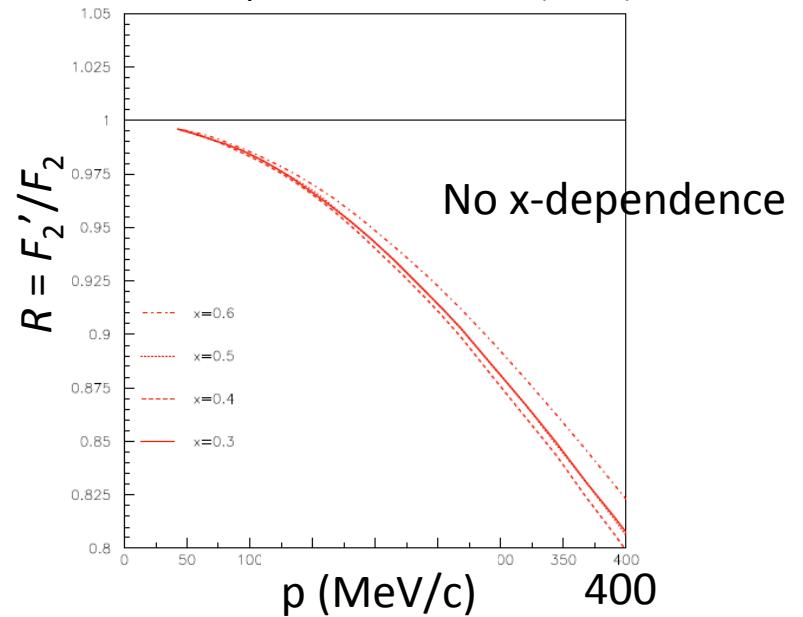
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Melnitchouk, Sargsian, Strikman,
Z. Phys. A **359**, 99 (1997)



Gross, Liuti, Phys. Lett. B **356**, 157 (1995)



Spectator Tagging

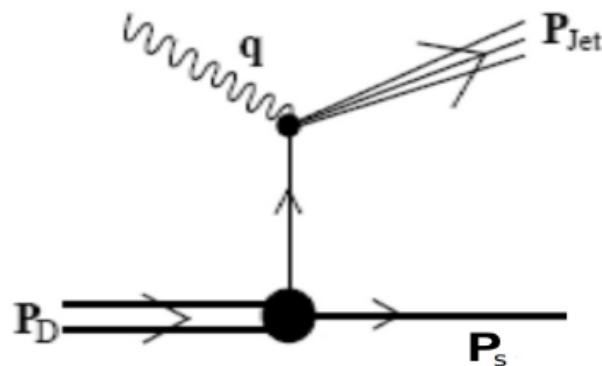
$d(e,e'p_s)$ – CLAS6 (recoil p)

E12-11-107 – Hall C + LAD (recoil p)

This experiment – CLAS12 + BAND (recoil n)

Experimental method

- (e,e') Deep Inelastic Scattering from **deuterium**
- Tag high-momentum nucleons with 300-700 MeV/c backward-recoiling (“spectator”) partner nucleon using $d(e,e'N_s)$



Experimental Method

$d(e,e'N_S)$ cross section factorizes into the cross section (F_2) and the distorted momentum distribution.

Fix the recoil kinematics and measure x-section ratios at 2 different x' :

$$\frac{d^4\sigma}{dx_1'dQ_1^2d\vec{p}_S} \Bigg/ \frac{d^4\sigma}{dx_2'dQ_2^2d\vec{p}_S} = (K_1/K_2) \left[F_2^*(x_1', \alpha_s, p_T, Q_1^2) / F_2^*(x_2', \alpha_s, p_T, Q_1^2) \right]$$

For $x_1' \approx 0.5 - 0.6$ and $x_2' \approx 0.3$ we shall measure:

$$F_2^*(x_1', \alpha_s, p_T, Q_1^2) / F_2^*(x_2', \alpha_s, p_T, Q_2^2) = \left(\frac{d^4\sigma}{dx_1'dQ_1^2d\vec{p}_S} / K_1 \right) \Bigg/ \left(\frac{d^4\sigma}{dx_2'dQ_2^2d\vec{p}_S} / K_2 \right)$$

$$x' = \frac{Q^2}{2p_\mu q^\mu} = \frac{Q^2}{2[(M_d - E_s)\omega + \vec{p}_s \cdot \vec{q}]}$$

x' is x-Bjorken for the moving struck nucleon

$$\alpha_s = (E_s - p_s^z) / m_s$$

\vec{p}_s maps to (α_s, p_T)

Experimental Method (cont.)

- Minimize experimental and theoretical uncertainties by measuring cross-section ratios

$$\frac{\sigma_{DIS}(x'_{high}, Q^2, \vec{p}_s)}{\sigma_{DIS}(x'_{low}, Q^2, \vec{p}_s)} \cdot \frac{\sigma_{DIS}^{free}(x_{low}, Q^2)}{\sigma_{DIS}^{free}(x_{high}, Q^2)} \cdot R_{FSI} = \frac{F_2^{bound}(x'_{high}, Q^2, \vec{p}_s)}{F_2^{free}(x_{high}, Q^2)}$$

$x' = x$ from a moving nucleon

$$x'_{high} \geq 0.5$$

FSI correction factor

$$0.25 \geq x'_{low} \geq 0.35 \quad \text{No EMC Effect expected}$$

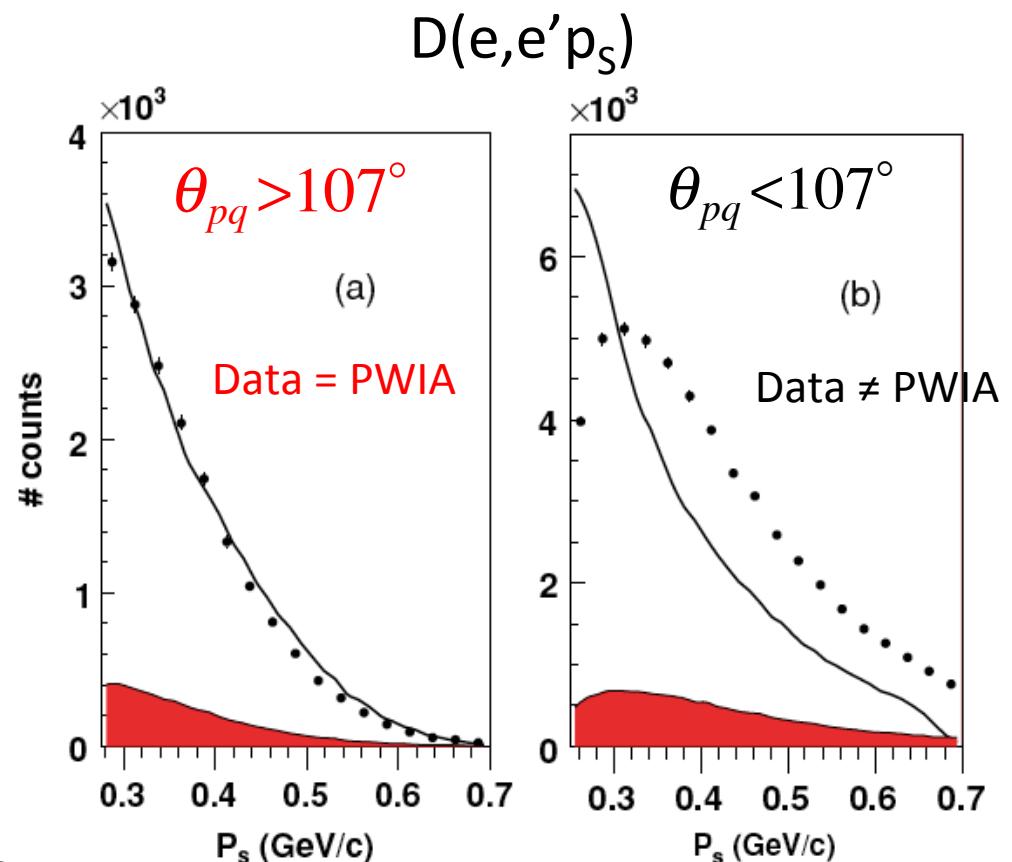
$$x'_B = \frac{Q^2}{2 p_\mu q^\mu} \stackrel{\text{(For d)}}{=} \frac{Q^2}{2[(M_d - E_S)\omega + \vec{p}_S \cdot \vec{q}]}$$

$$x_B = \frac{Q^2}{2m_N\omega}$$

Minimizing Final State Interactions (FSI)

FSI:

- Decrease with Q^2
- Increase with W
- Not sensitive to x'_B
- Small for $\theta_{pq} > 107^\circ$



We shall:

- Take ratios at large recoil angles
- Involve theoretical colleagues
- Take more data at $\theta_{pq} \sim 90^\circ$ (to characterize FSI)
- Take data at two x'
- Use low x' data to study FSI dependence on Q^2, W^2, θ_{pq}

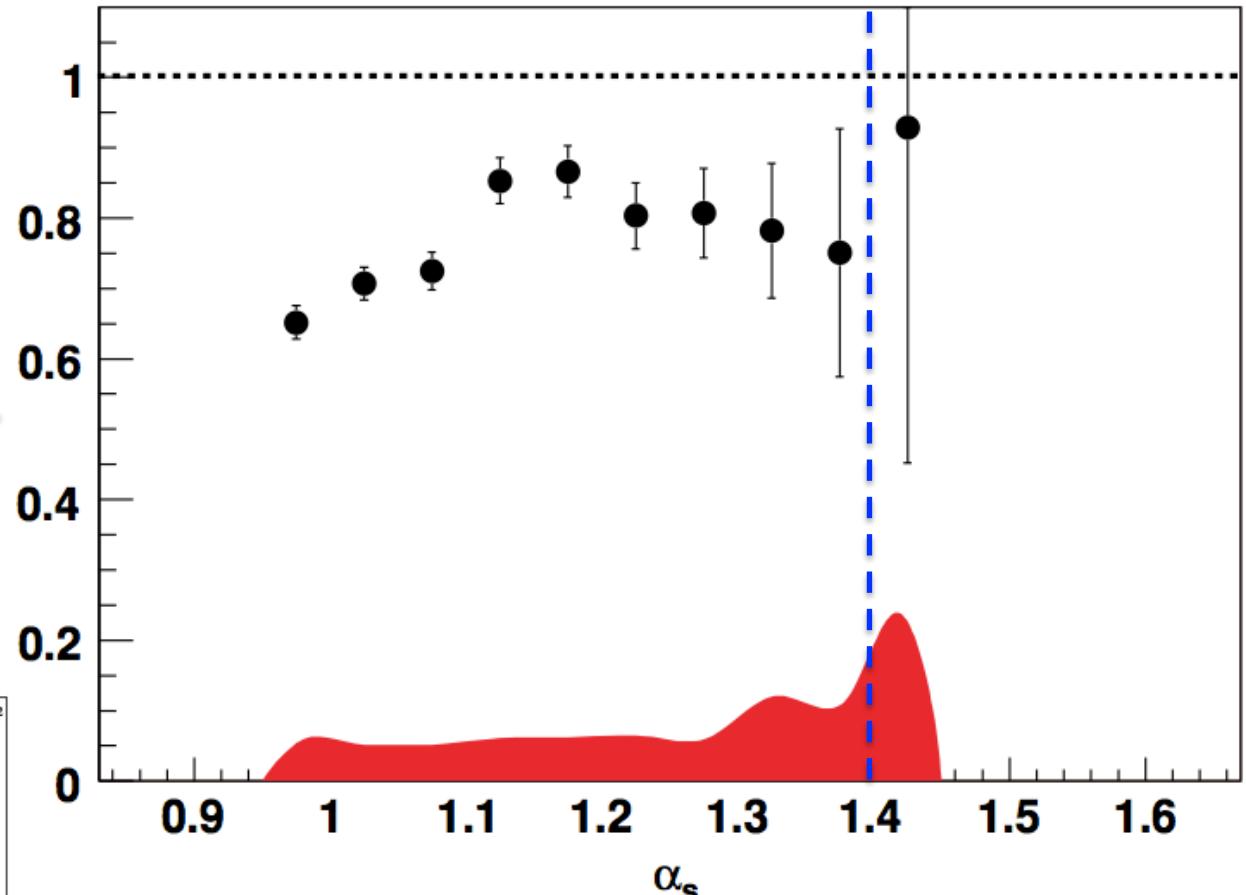
A. V. Klimenko *et al.*, PRC 73, 035212 (2006)

CLAS6 Results: $d(e,e'p_s)$

$$\frac{F_2(x' = 0.55, Q^2 = 2.8)}{F_2(x' = 0.25, Q^2 = 1.8)} \Big|_{\text{data}}$$

$$\frac{F_2(x' = 0.55, Q^2 = 2.8)}{F_2(x' = 0.25, Q^2 = 1.8)} \Big|_{\text{free}}$$

$Q^2 = 5 \text{ GeV}^2$



Inconclusive!

Klimenko et al, PRC **73**, 035212 (2006)

Detecting recoil protons in Hall C

HMS and SHMS detect electrons

LAD detects recoiling **proton**

LAD: ~ 1.5 sr of CLAS6 TOF counters

Central values of kinematics

Low x'

$$E_{\text{in}} = 10.9 \text{ GeV}$$

$$E' = 4.4 \text{ GeV}$$

$$\theta_e = 13.5^\circ$$

$$Q^2 = 2.65 \text{ GeV}^2$$

$$|\vec{q}| = 6.7 \text{ GeV}/c$$

$$\theta_q = -8.8^\circ$$

$$x = 0.217$$

High x'

$$E_{\text{in}} = 10.9 \text{ GeV}$$

$$E' = 4.4 \text{ GeV}$$

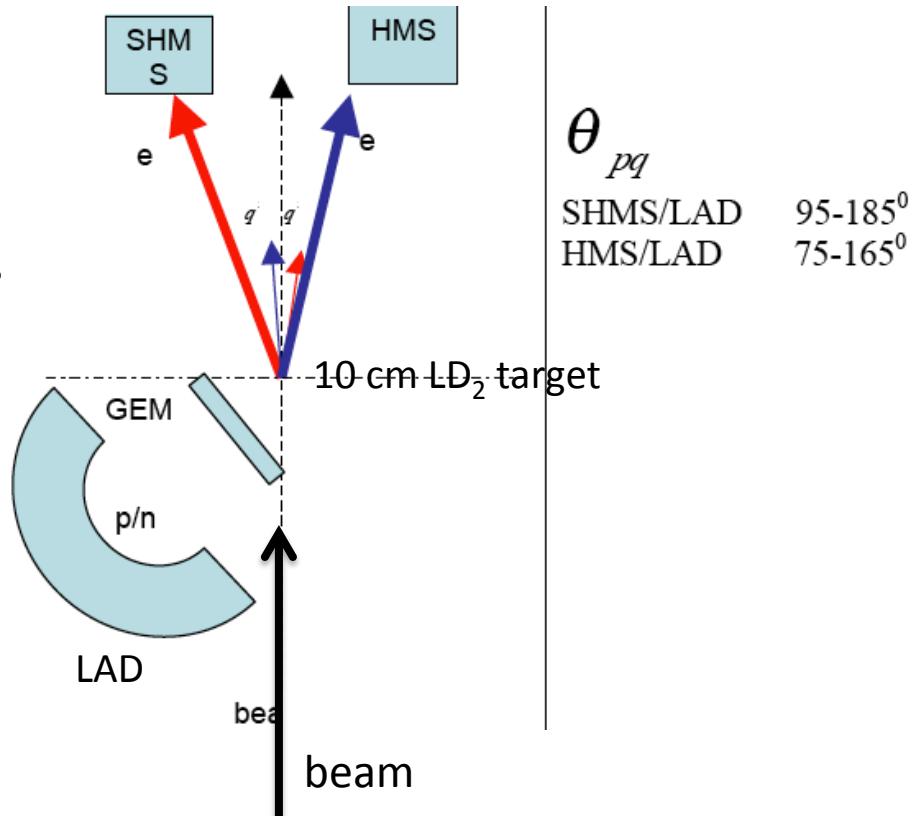
$$\theta_e = -17^\circ$$

$$Q^2 = 4.19 \text{ GeV}^2$$

$$|\vec{q}| = 6.8 \text{ GeV}/c$$

$$\theta_q = 10.8^\circ$$

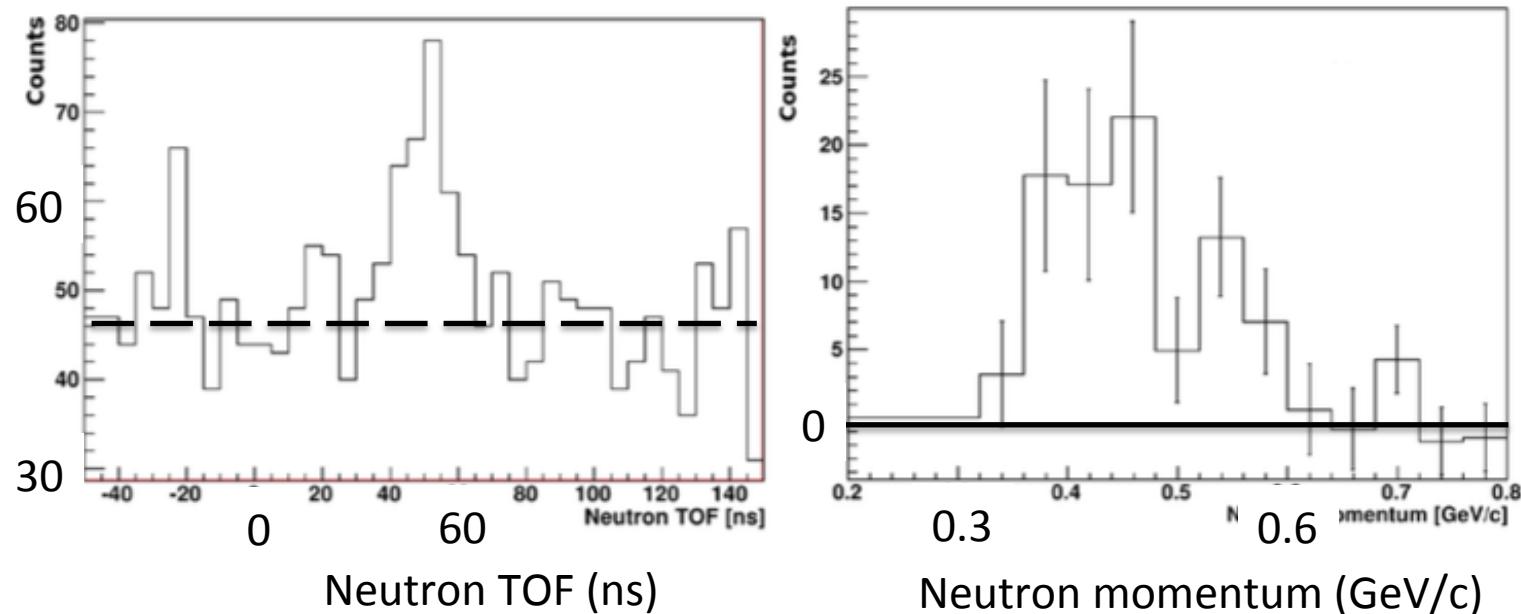
$$x = 0.34$$



Collect both LAD-HMS and LAD-SHMS coincidences

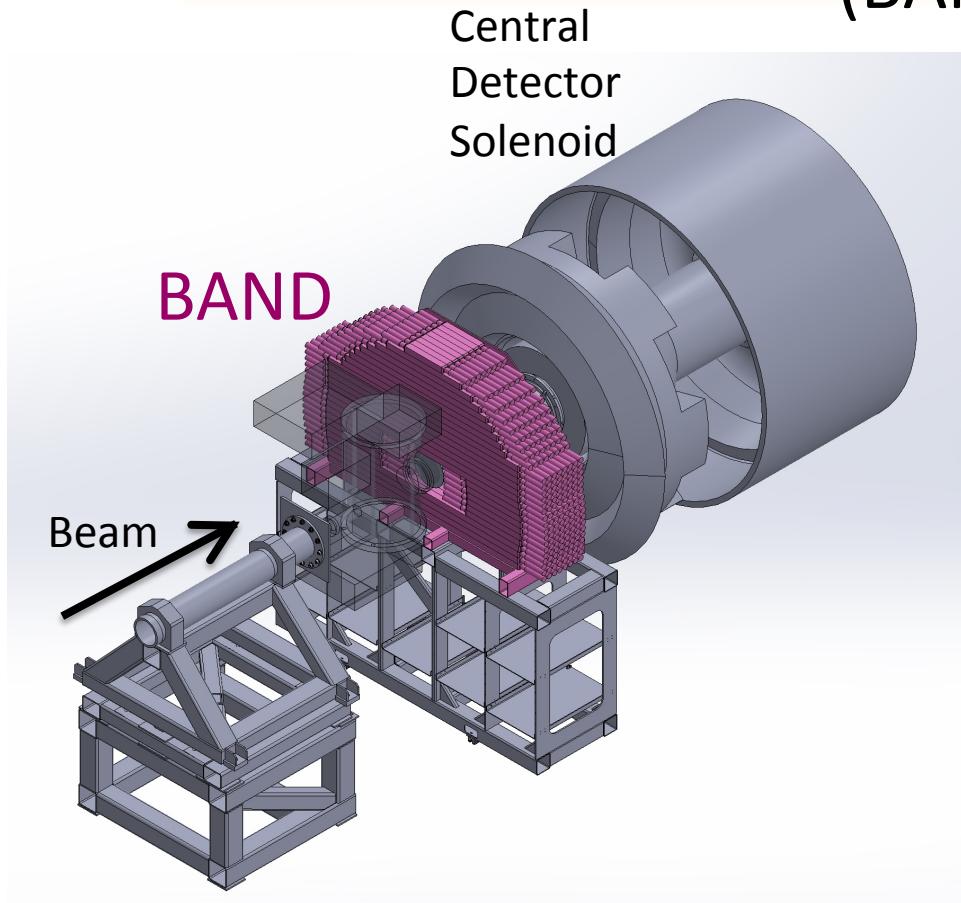
Measuring neutrons with Time of Flight (TOF)

HAND: Hall A Neutron Detector



I. Korover, Tel Aviv U, PhD Thesis 2015

CLAS12 + Backward Angle Neutron Detector (BAND)

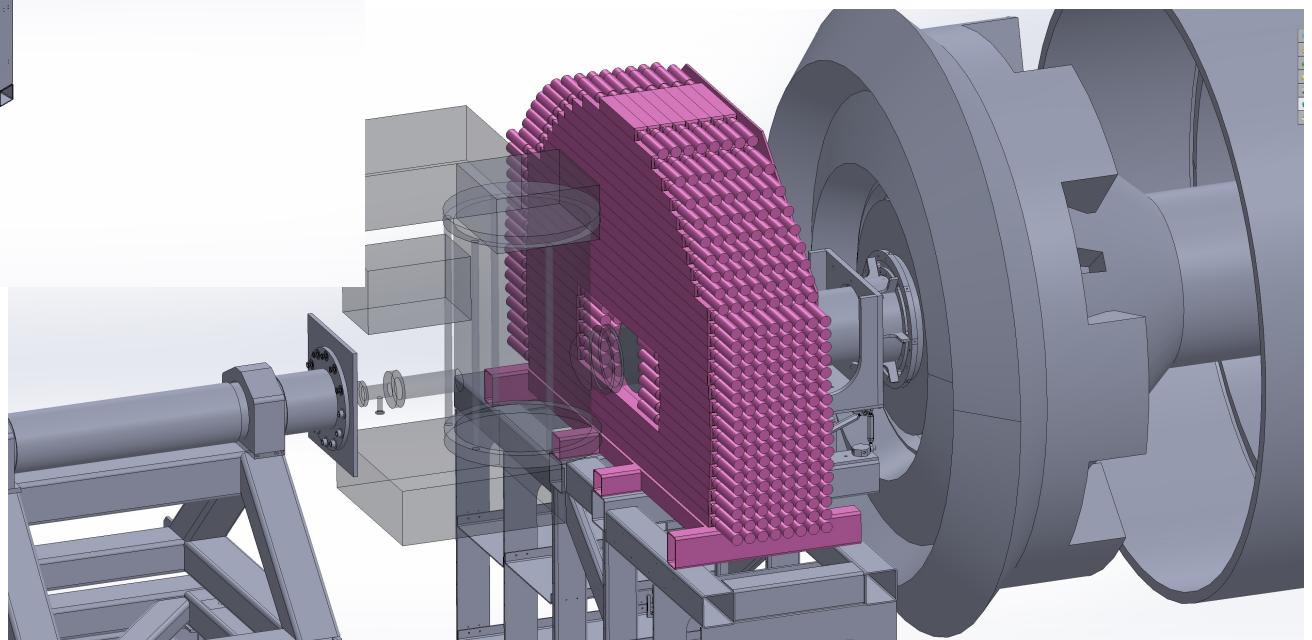


Engineering by Inaki Vega,
UTFSM, Valparaiso, Chile

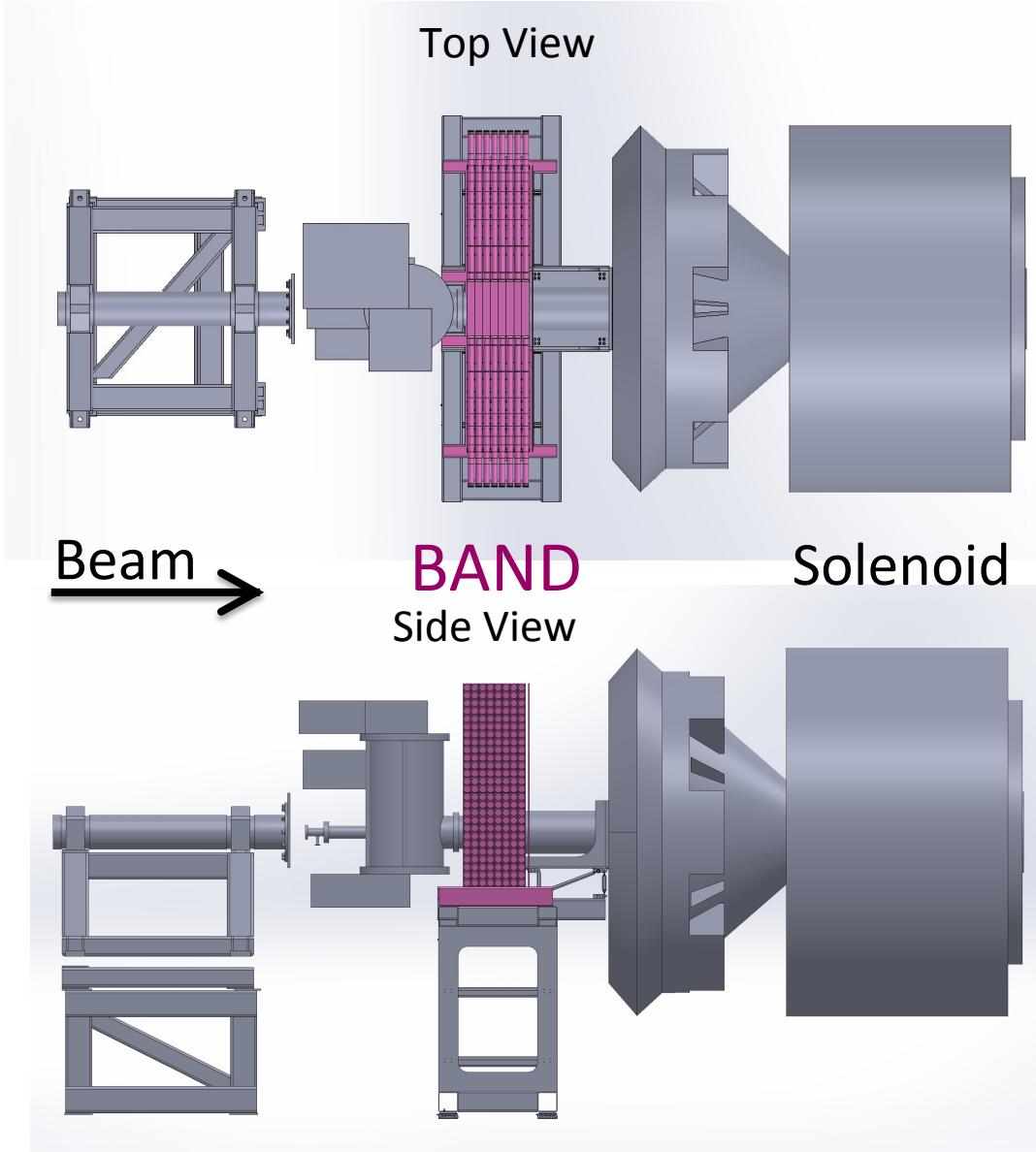
BAND:

- $160^\circ < \theta_n < 170^\circ$
- 2.5 m from target
- Eight 6-cm layers of scintillant
 - 48 cm thick
- 26 rows, 512 PMTs

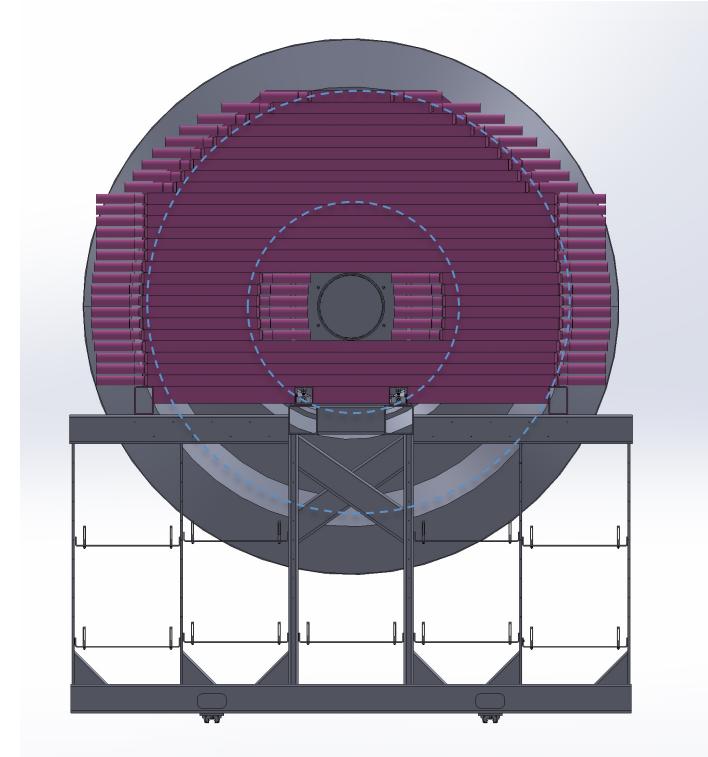
Mounted on SVT electronics cart



BAND Design

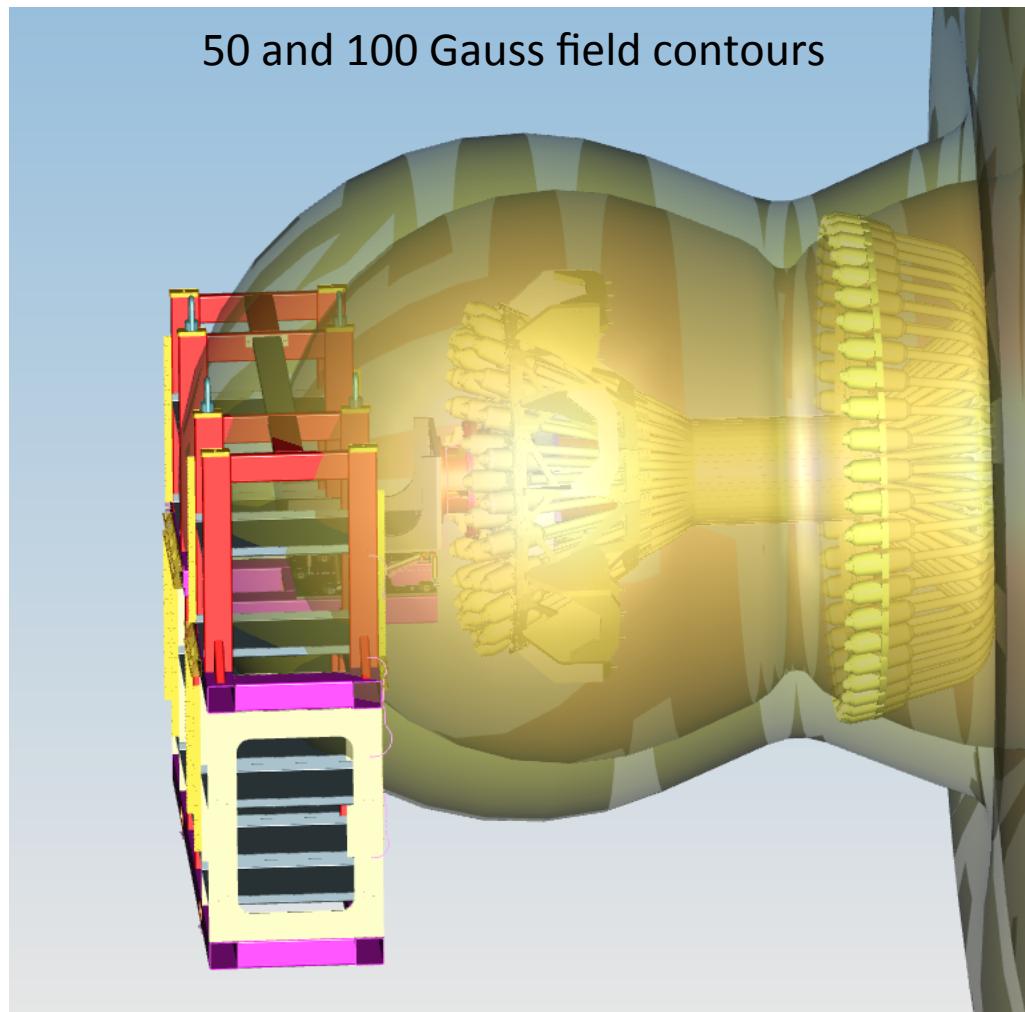


Looking Downstream



Circles show $\sim 160^\circ$ and $\sim 170^\circ$

Magnetic Field Issues



PMT Shielding studies at ODU this summer

BAND Development

- PMT and scintillant timing tests: Tel Aviv, MIT
- Magnetic field tests: ODU
- Engineering: UTFSM
- Laser Calibration system development: MIT
- Approximate cost: \$650K
 - Scintillant: \$100K
 - 512 PMTs: \$300K
 - Light pipes, mu metal, cables: \$75K
 - Laser calibration system: \$70K
 - Support structure and shielding: \$100K
- Funding: NSF-MRI(?), MIT, Tel Aviv
- Submit MRI January 2017
- Construct BAND, 2017/2018
- Install in Hall B, 9/2018

Deuteron ($e, e' n_s$) Kinematics

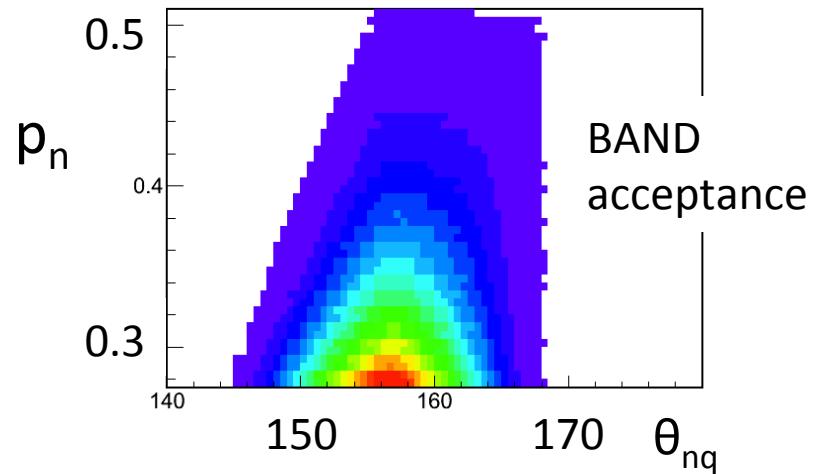
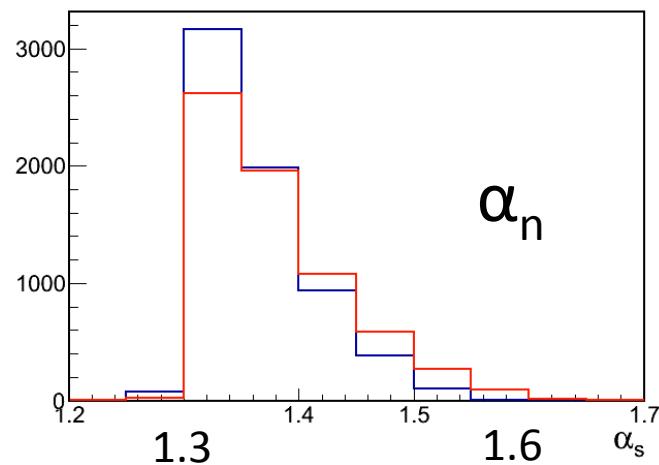
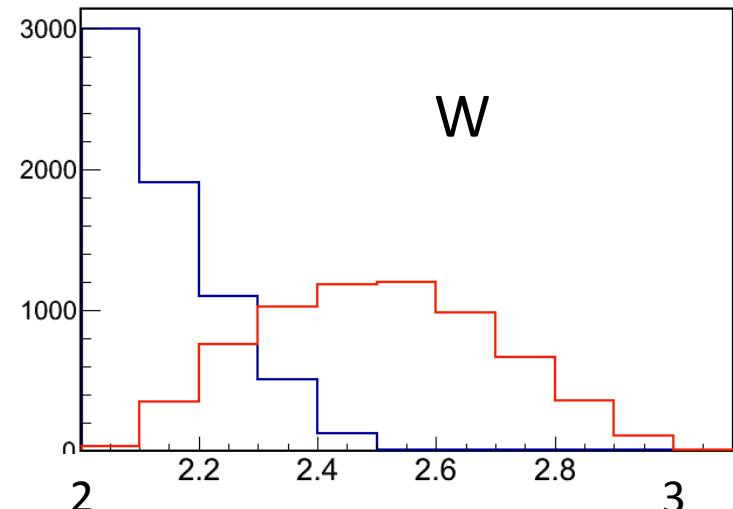
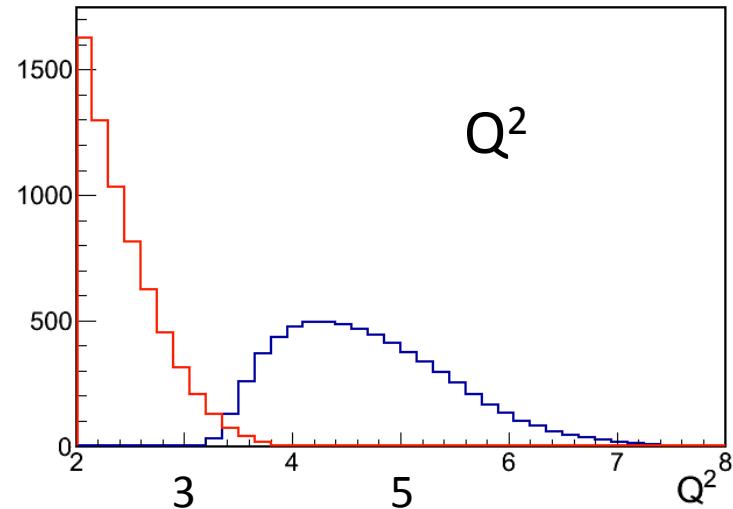
$E_0 = 11 \text{ GeV}$

$Q^2 > 2 \text{ GeV}^2$

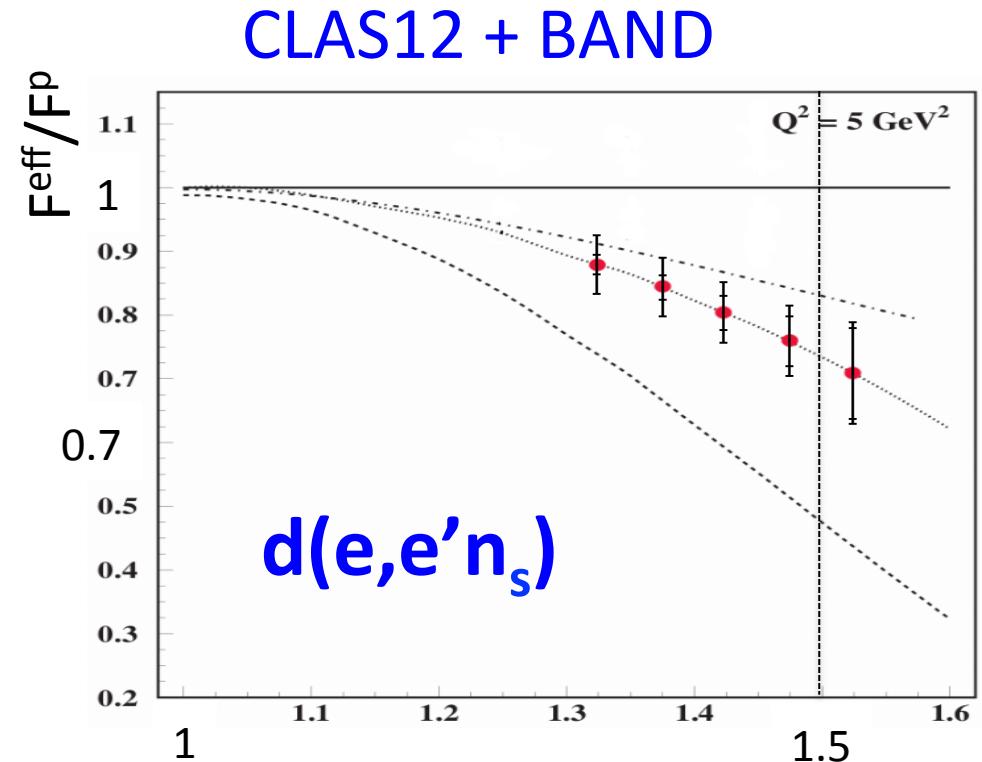
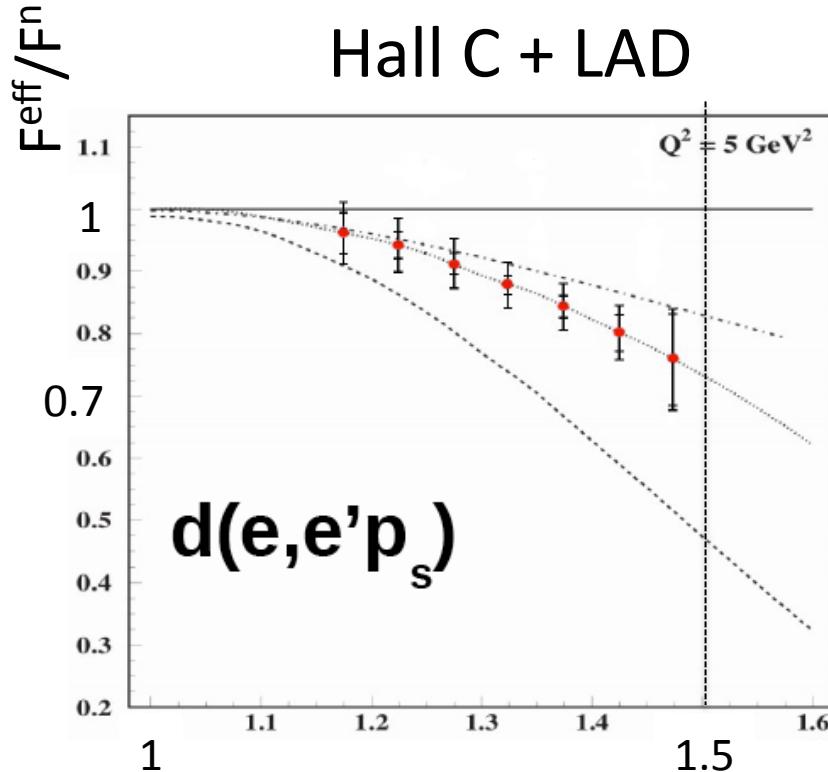
$W' > 2 \text{ GeV}$

Measure cross section ratio

- for $0.5 < x'$ to $0.25 < x' < 0.35$
- as a function of p_n or α_n



Expected Results



$$\alpha_s = (E_s - p_S^Z)/m_s$$

0 —————→ 0.4

$p_S^Z (\text{GeV}/c)$

$$\alpha_s = (E_s - p_S^Z)/m_s$$

0 —————→ 0.4

$p_S^Z (\text{GeV}/c)$

(results for 75 days beam time at $L = 10^{35}$)

Summary: Measuring Nucleon Medium Modification

Physics:

- EMC effect strongly implies that bound nucleons are modified
- SRC and EMC are linearly correlated
- Both phenomena are likely related to high-momentum nucleons

Experiment $d(e,e'n_s)$ with CLAS12 + BAND:

- Directly measure the proton structure function in the nuclear medium as a function of momentum (virtuality)
 - Use spectator tagging to select highly virtual protons in DIS
 - Minimize systematic uncertainties by measuring ratios
 - Run with Run Group B (and other deuteron target run groups)
- Complements neutron s.f. measurements using $d(e,e'p_s)$ E12-11-107 (Hall C + LAD)
- Are nucleons modified in the nucleus? If so, how?
- Can this explain the EMC effect?
- How is this related to short range correlations?