

Exclusive π^- Electroproduction off the Neutron in Deuterium in the Resonance Region

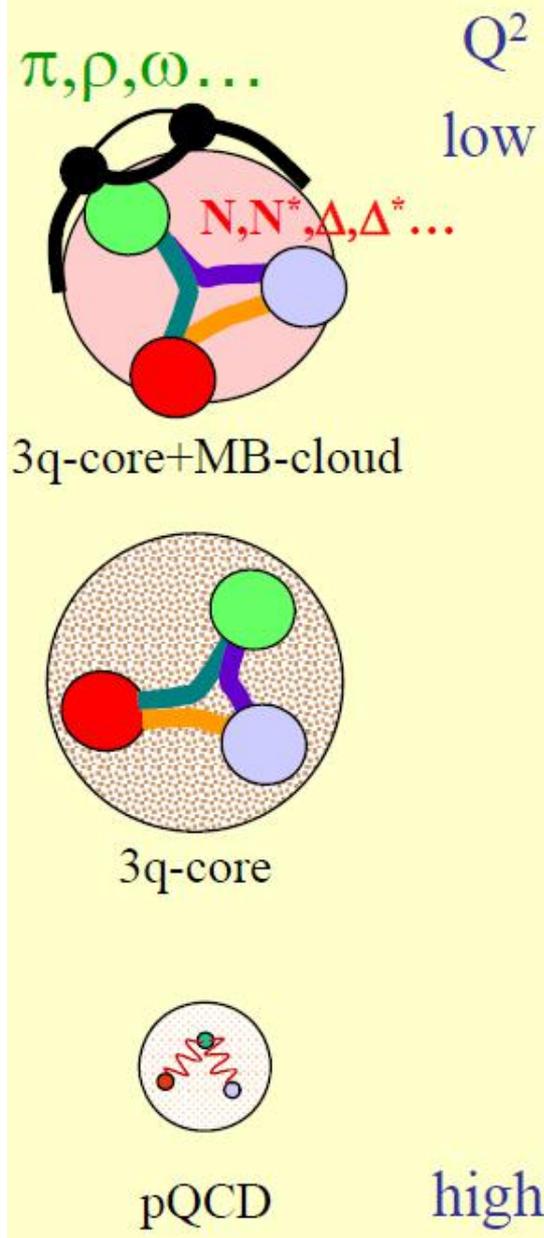
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- ◆ Motivation
- ◆ Data Analysis
- ◆ Preliminary Results
- ◆ Summary and Outlook

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Motivation



- ◆ Since proton is the only stable hadron, the excited states of the free proton have been studied in great detail, there are very few data for the neutron excitations.
- ◆ There is **no free neutron target**, the deuterium target is the alternative target, because it contains the simplest and most loosely bound nucleon system.
- ◆ In order to extract the free neutron information, we have to deal with the final state interaction and correct it from the quasi-free process.

Single pion electroproduction reactions

$$\gamma^* + p \rightarrow \pi^0 + p$$

$$\gamma^* + p \rightarrow \pi^+ + n$$

$$\gamma^* + d(p) \rightarrow \pi^+ + n + n_s \text{ (Hollis)}$$

$$\gamma^* + d(n) \rightarrow \pi^- + p + p_s$$

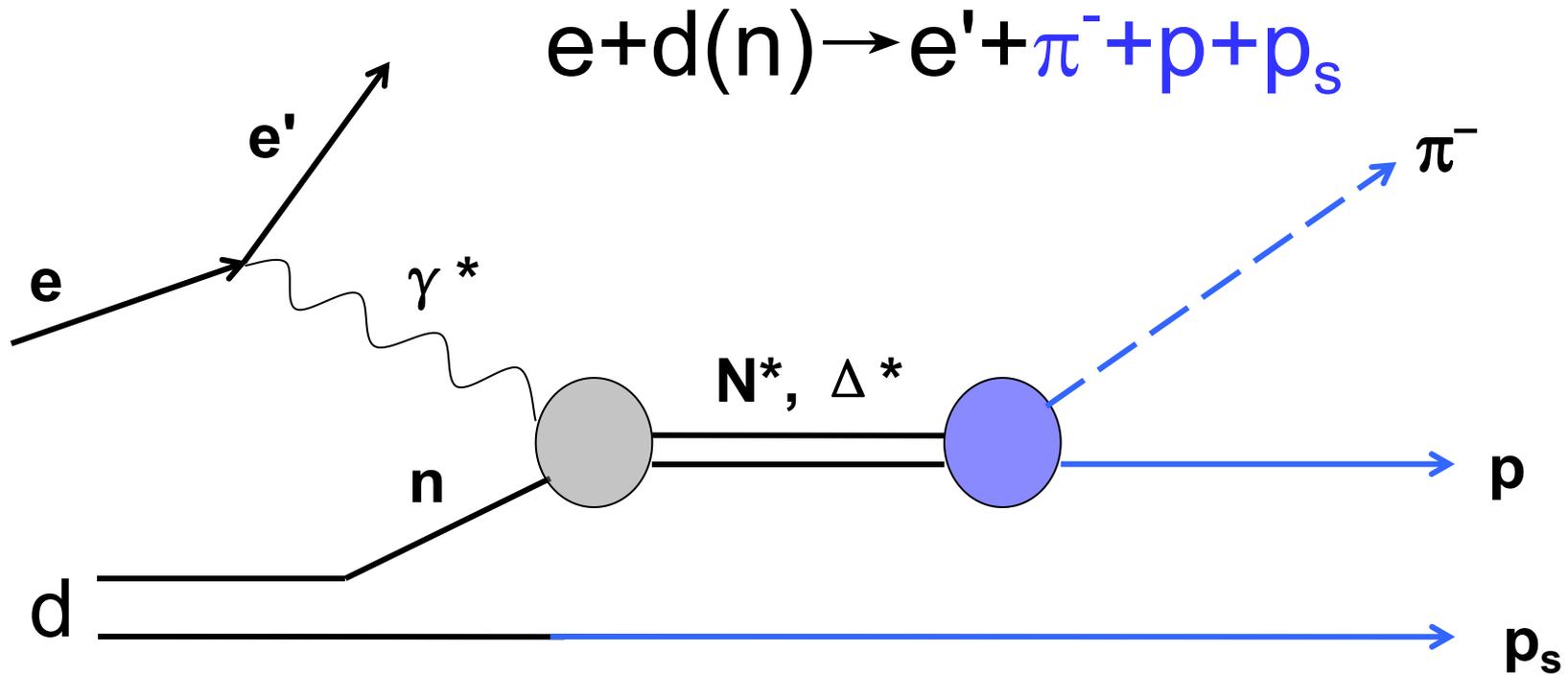


H₂ target

e1e run

D₂ target

Exclusive π^- electroproduction



Energy and momentum conservation \rightarrow initial state of neutron
(off shell)

$$p_s^\mu + n^\mu = d^\mu, \quad \vec{P}_{ps} + \vec{P}_n = 0$$

Exclusive π^- production kinematic

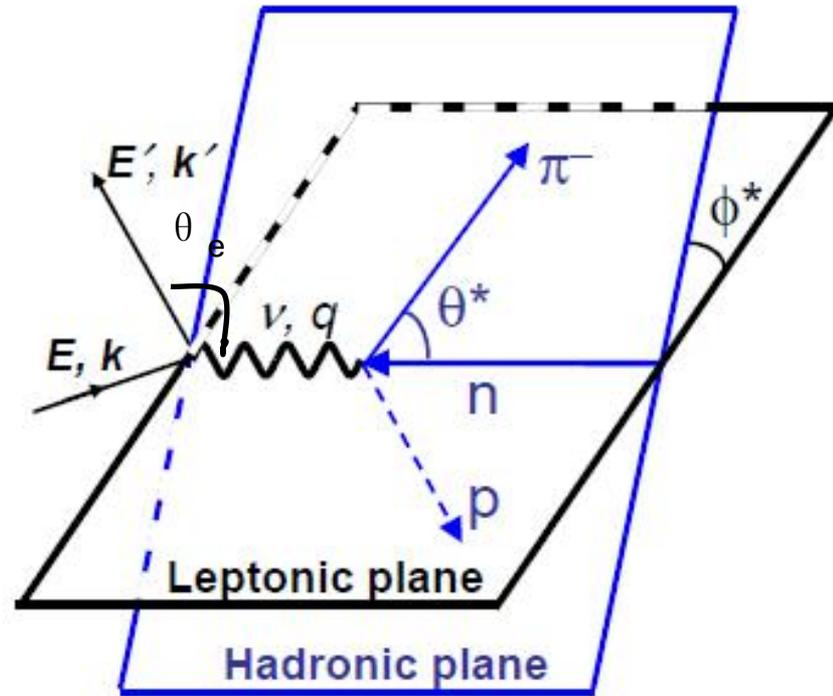
$$\nu = E - E'$$

$$q = K - K'$$

$$Q^2 = -(q^\mu)^2$$

$$= -(e^\mu - e'^\mu)^2$$

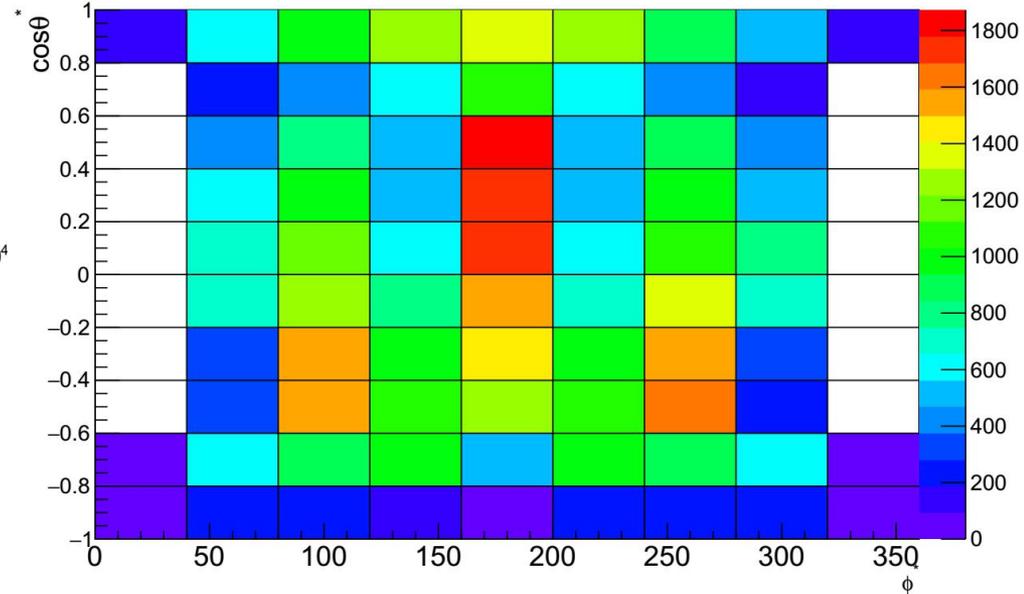
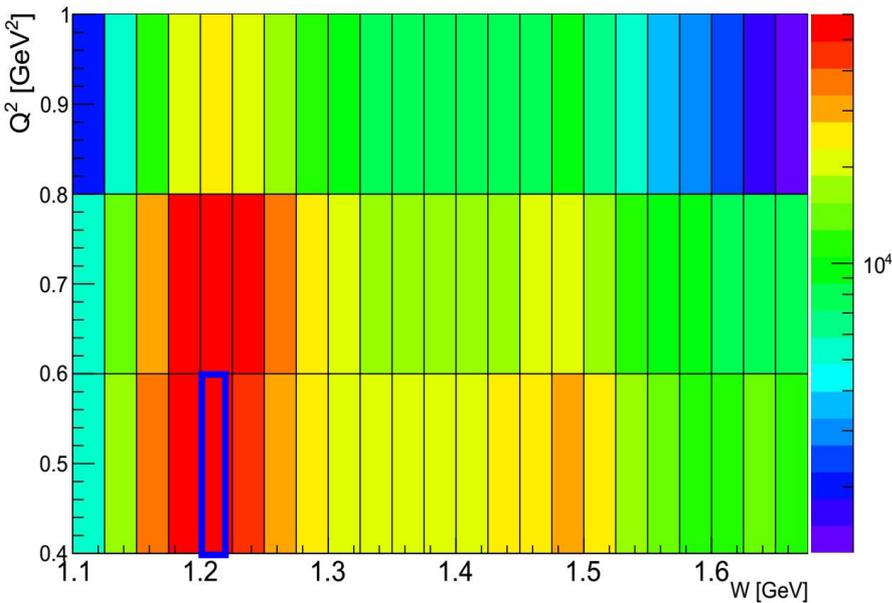
$$\approx 4EE' \sin^2 \frac{\theta_e}{2}$$



$$W^2 = (p^\mu + \pi^\mu)^2 = (q^\mu + n^\mu)^2 = (q^\mu + d^\mu - p_s^\mu)^2$$

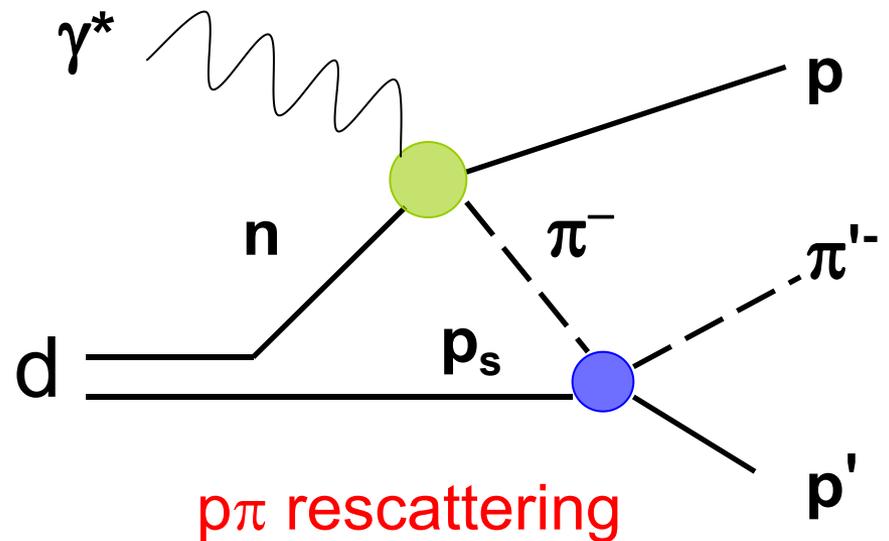
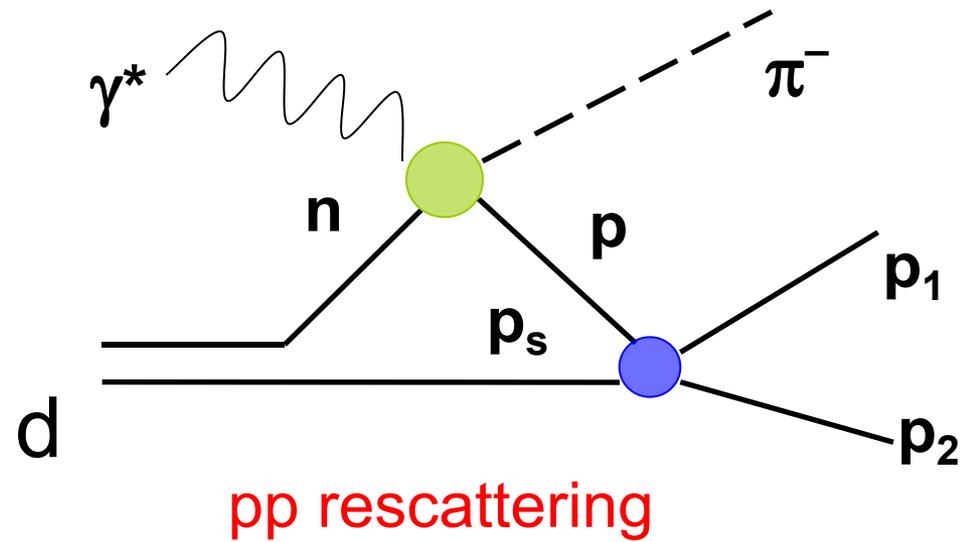
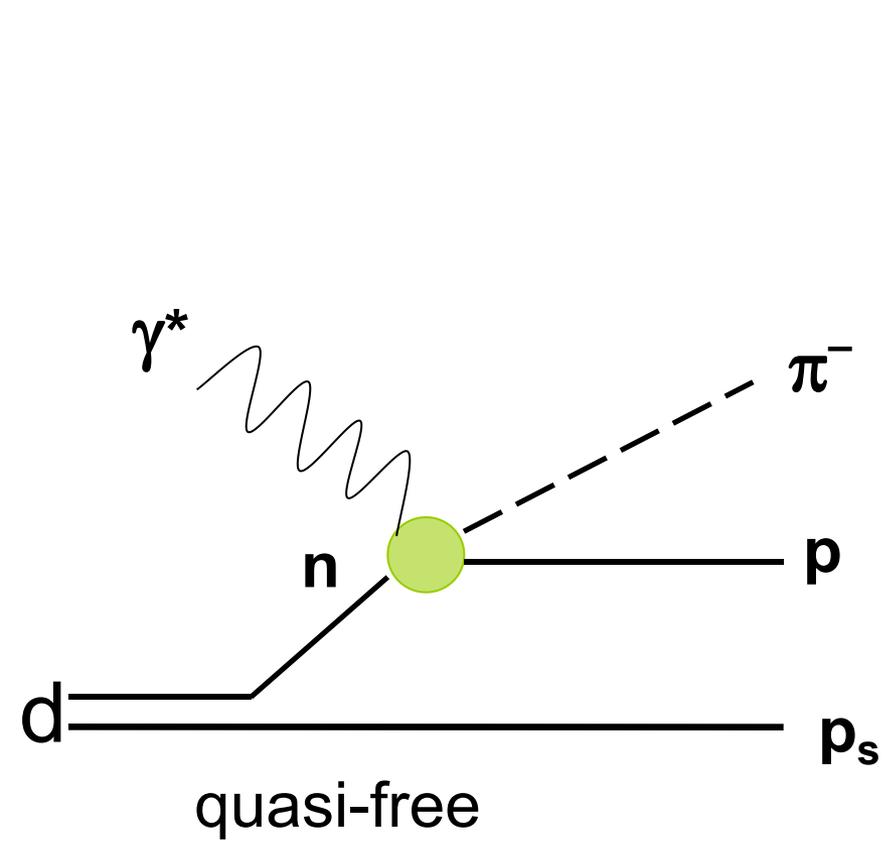
θ^* and ϕ^* : polar and azimuthal angle of π^- in the CM frame

Exclusive π^- production kinematic

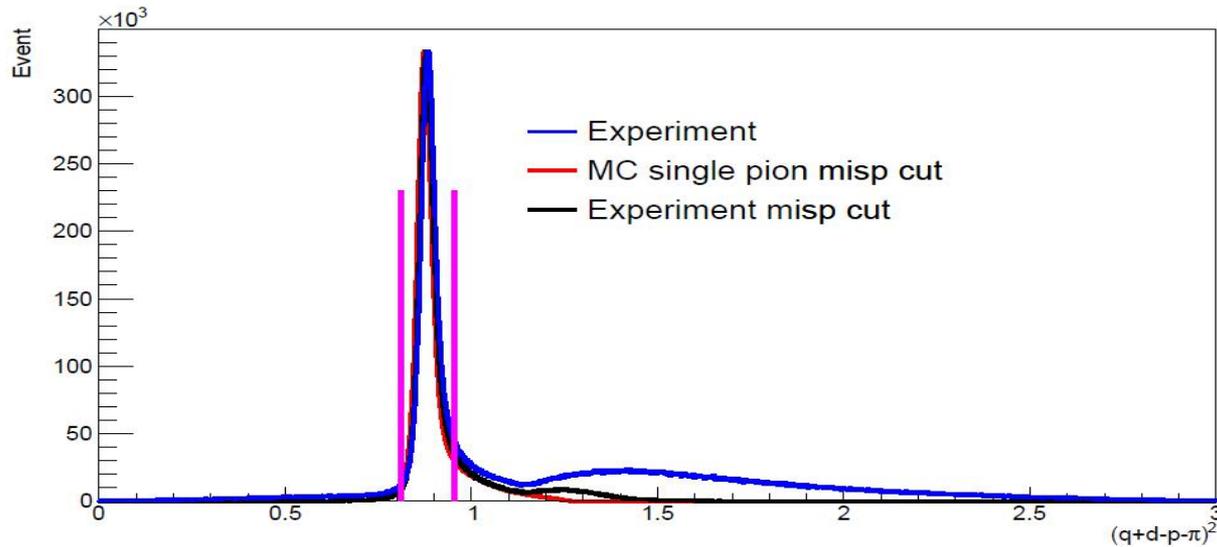


Variable	Lower limit	Upper limit	Number of bins	Bin size
W GeV	1.1	1.7	24	0.025
Q^2 GeV 2	0.4	1.0	3	0.2
$\cos \theta^*$	-1	1	10	0.2
ϕ^*	0 $^\circ$	360 $^\circ$	9, 8, 6	40 $^\circ$, 45 $^\circ$, 60 $^\circ$

Final state interactions sketch



Exclusive event selection

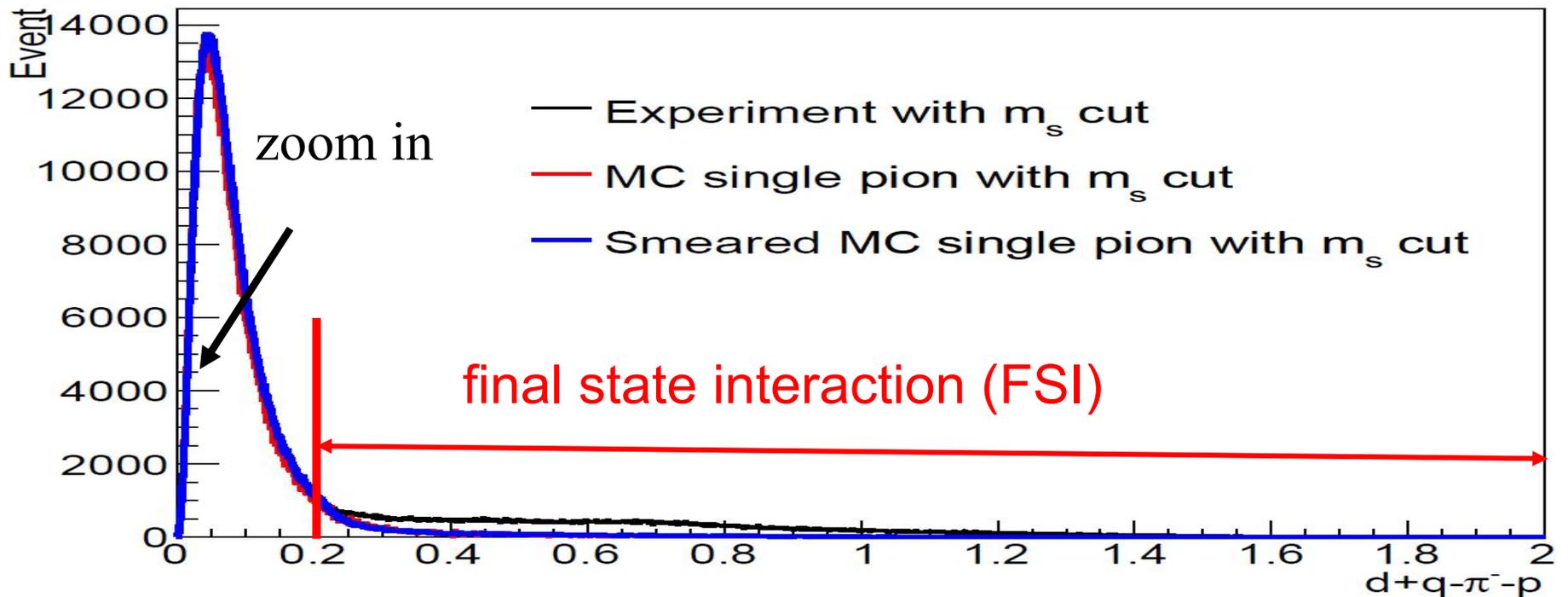


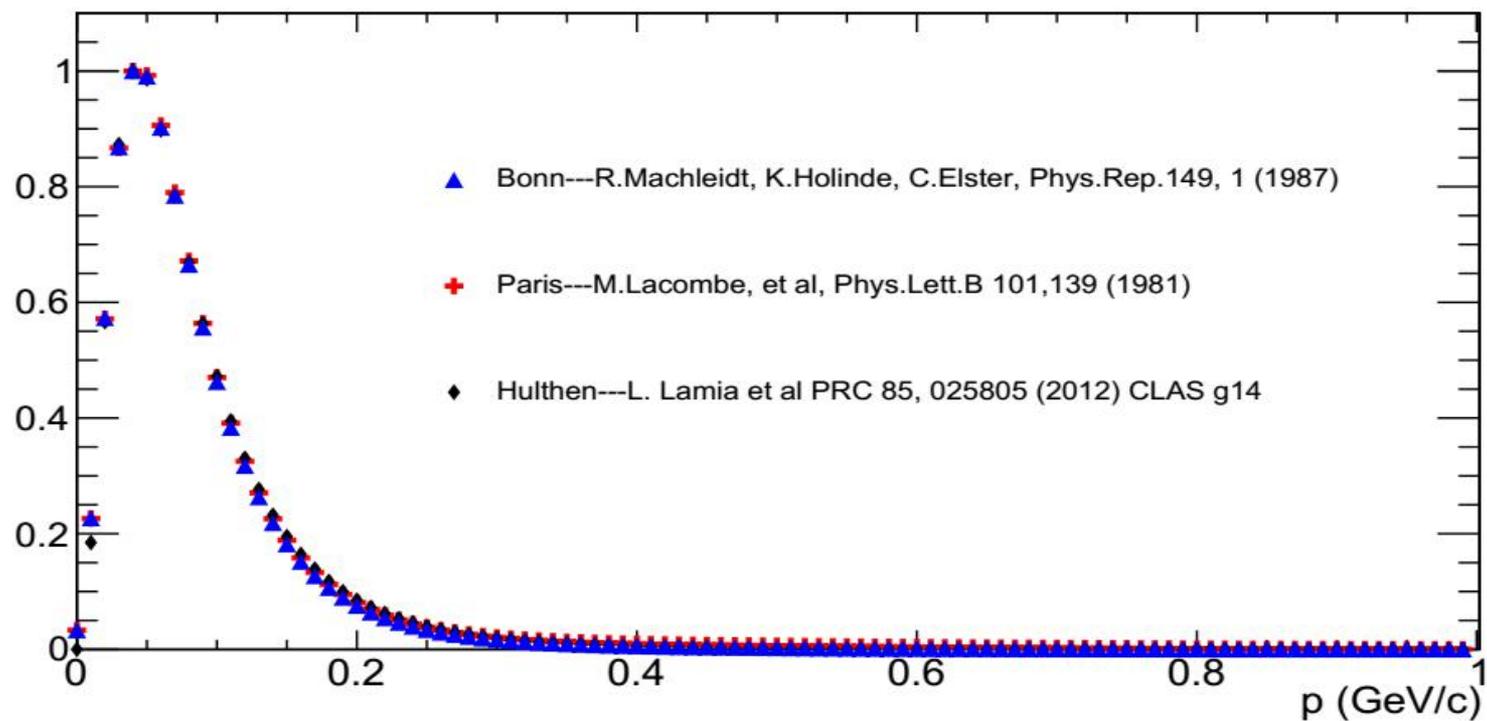
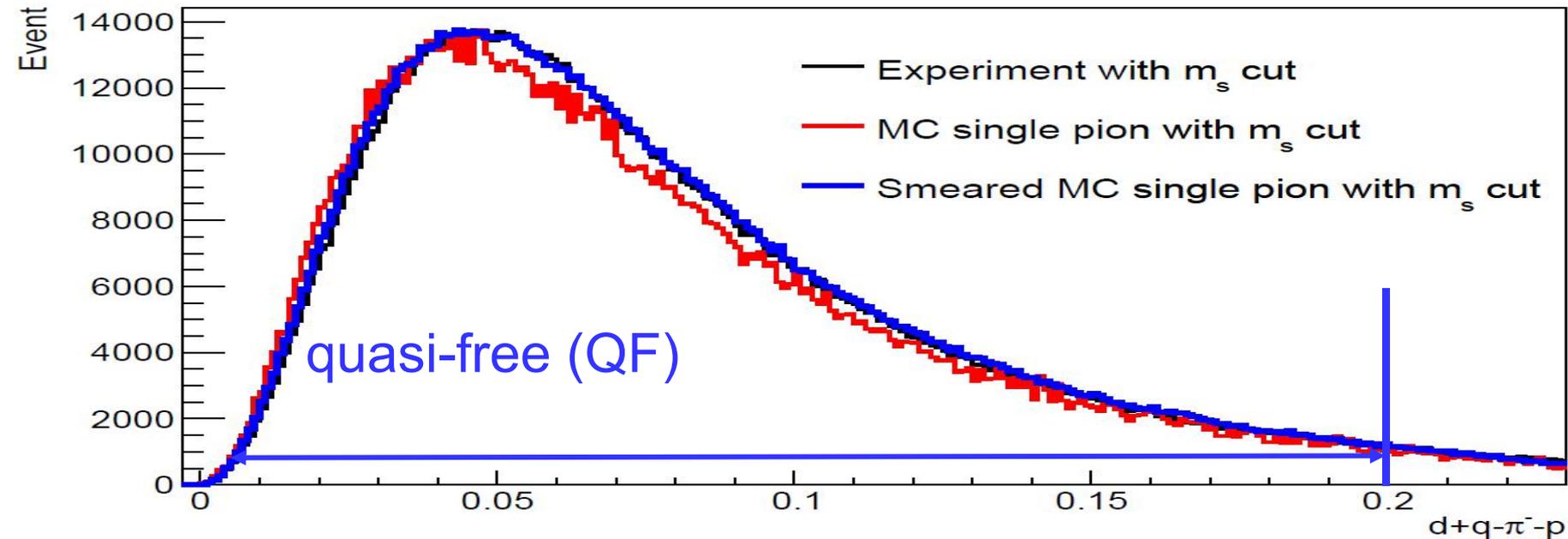
missing mass

$$\left(q^\mu + d^\mu - p^\mu - \pi^\mu \right)^2$$

missing momentum:

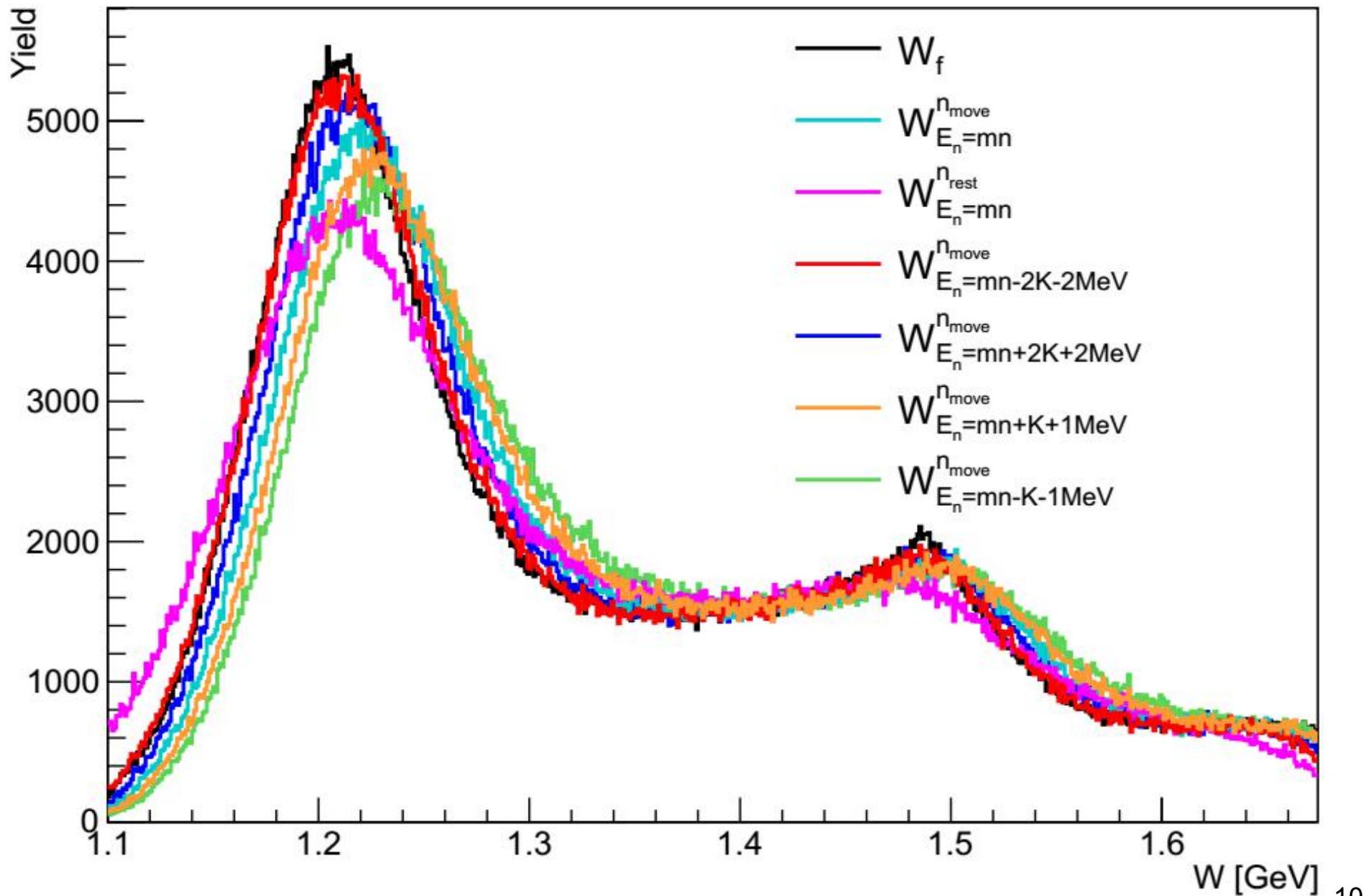
$$\left| \vec{q} - \vec{p} - \vec{\pi} \right|$$





comparison data courtesy of Reinhard Schumacher

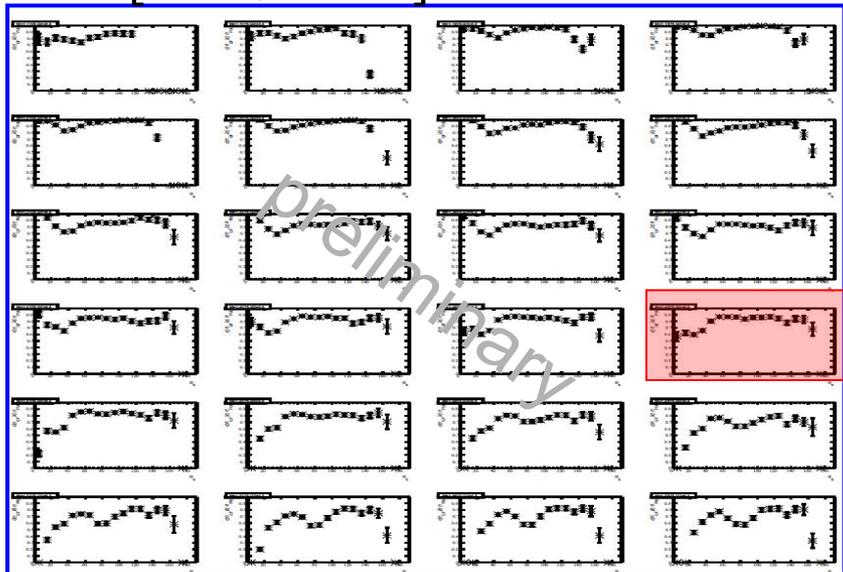
Off-shell effects



Final state interaction correction factor

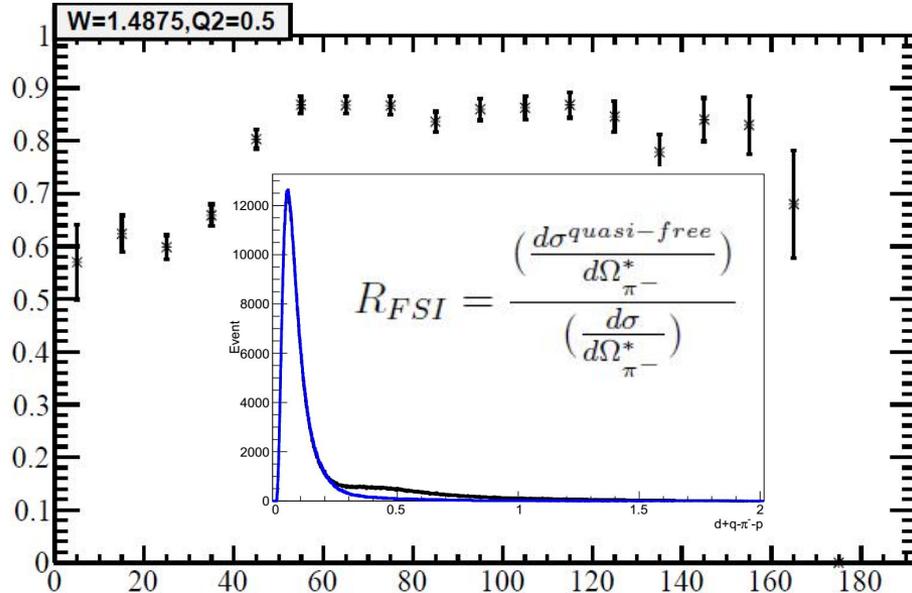
$W \in [1.125, 1.1675] \text{ GeV} \quad \Delta W = 25 \text{ MeV}$

$Q^2 = 0.5 \text{ GeV}^2$



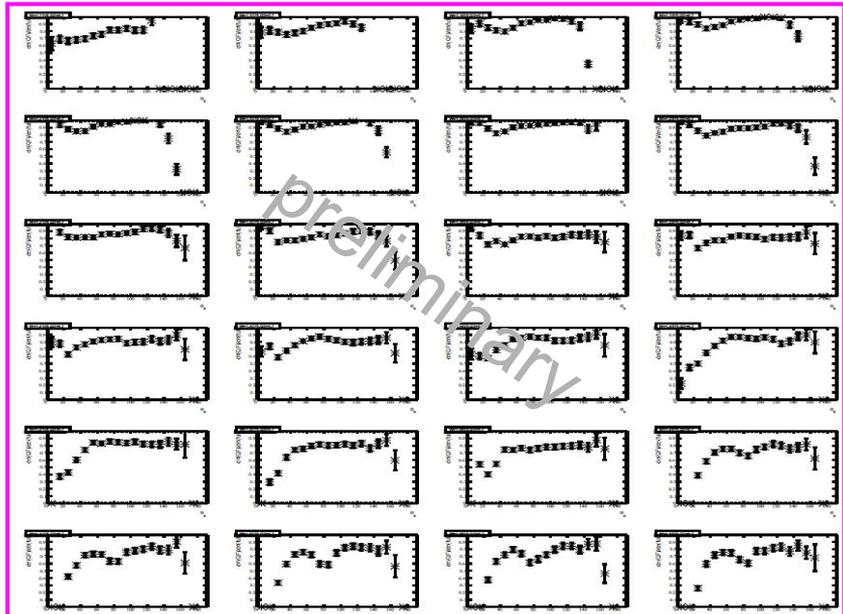
$d\sigma_{QF}/d\sigma_{FULL}$

$W = 1.4875, Q^2 = 0.5$

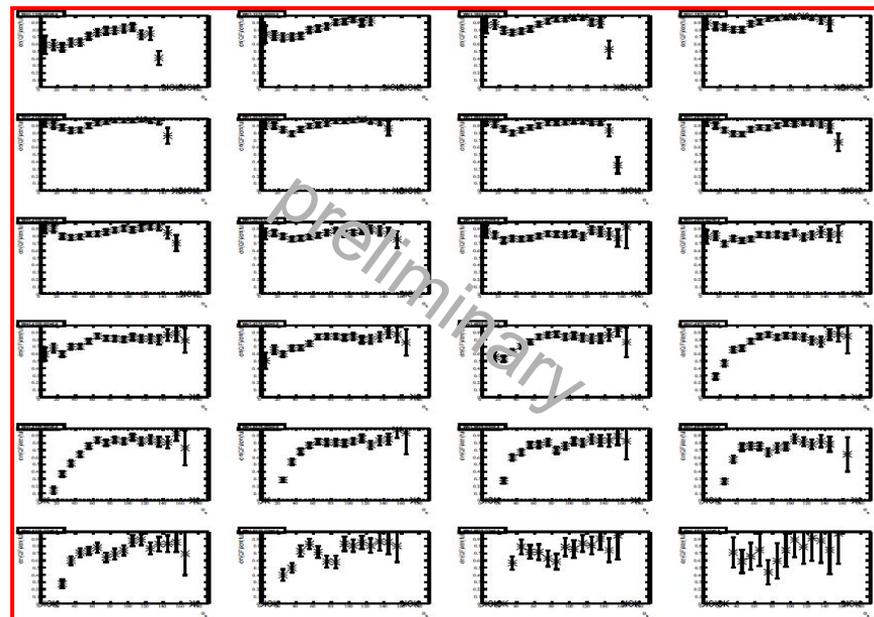


θ_{π}

$Q^2 = 0.7 \text{ GeV}^2$



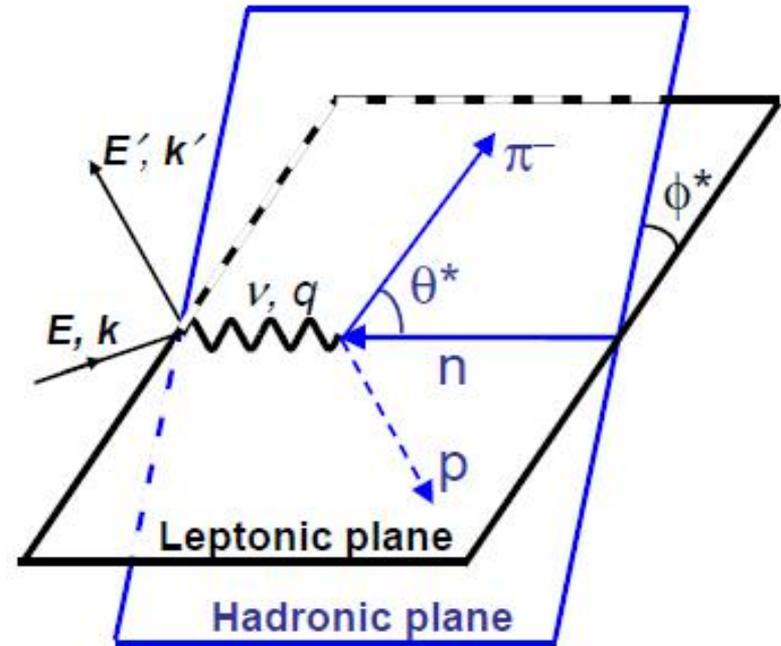
$Q^2 = 0.9 \text{ GeV}^2$



Differential cross section

$$\frac{d\sigma}{dW dQ^2 d\Omega_{\pi^-}^*} = \Gamma_\nu \frac{d^2\sigma}{d\Omega_\pi^*}$$

$$\Gamma_\nu \equiv \frac{\alpha}{4\pi} \frac{1}{E^2} \frac{W(W^2 - m_n^2)}{m_n^2 Q^2 (1 - \varepsilon)}$$

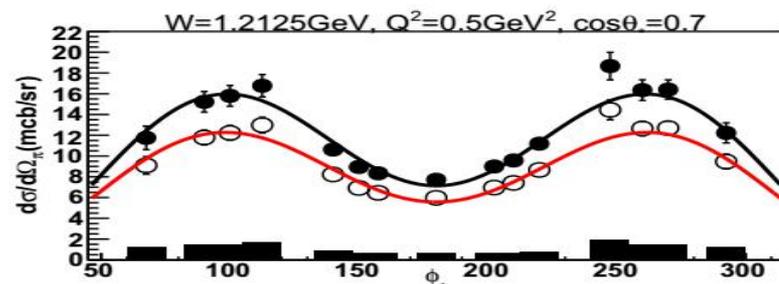
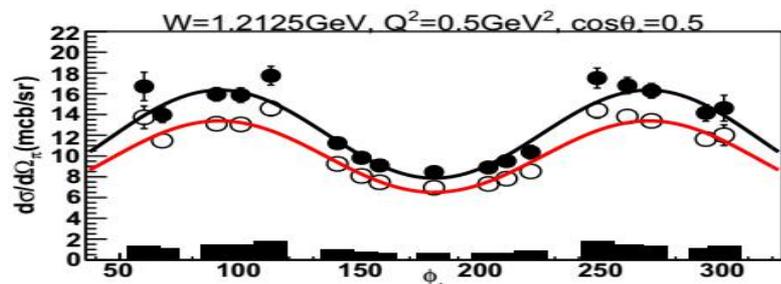
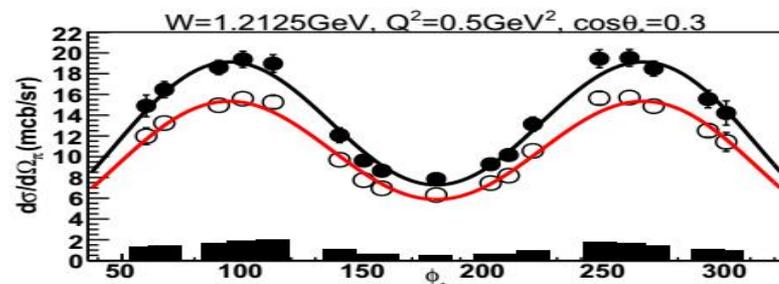
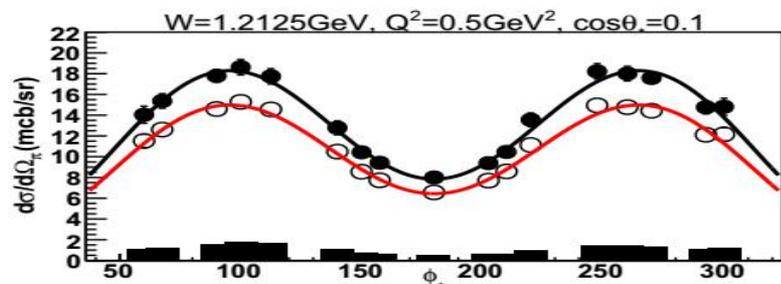
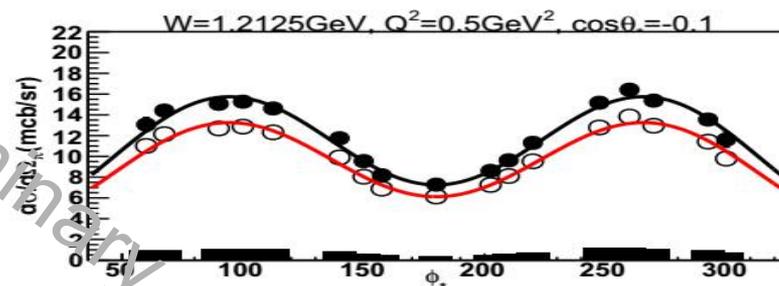
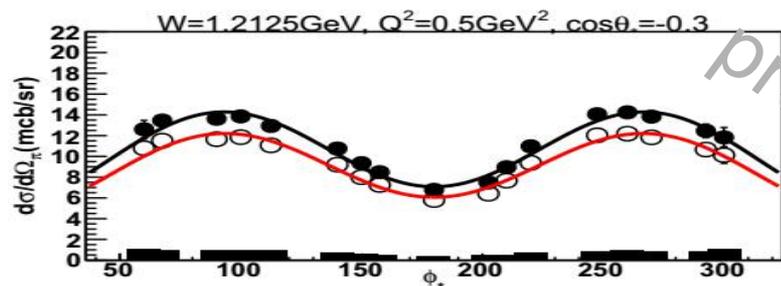
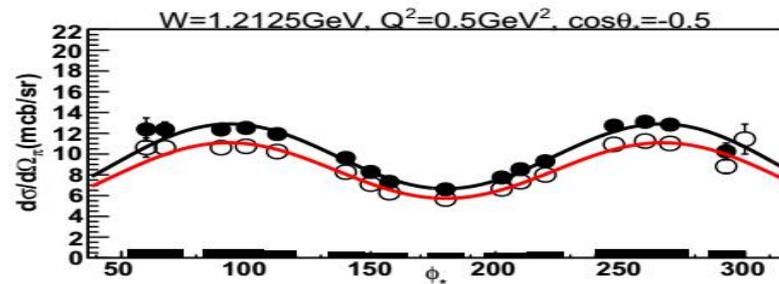
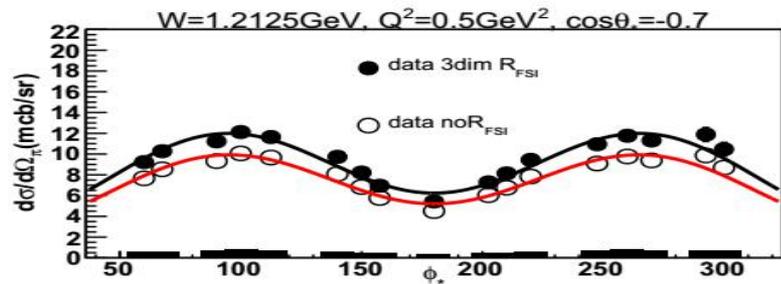


$$\frac{d^2\sigma}{d\Omega_\pi^*} = \sigma_T + \varepsilon\sigma_L + \sqrt{2\varepsilon(1+\varepsilon)}\sigma_{LT} \cos\phi^* + \varepsilon\sigma_{TT} \cos 2\phi^*$$

$$\varepsilon \equiv \left(1 + 2 \frac{|q|^2}{Q^2} \tan^2 \frac{\theta_e}{2} \right)^{-1}$$

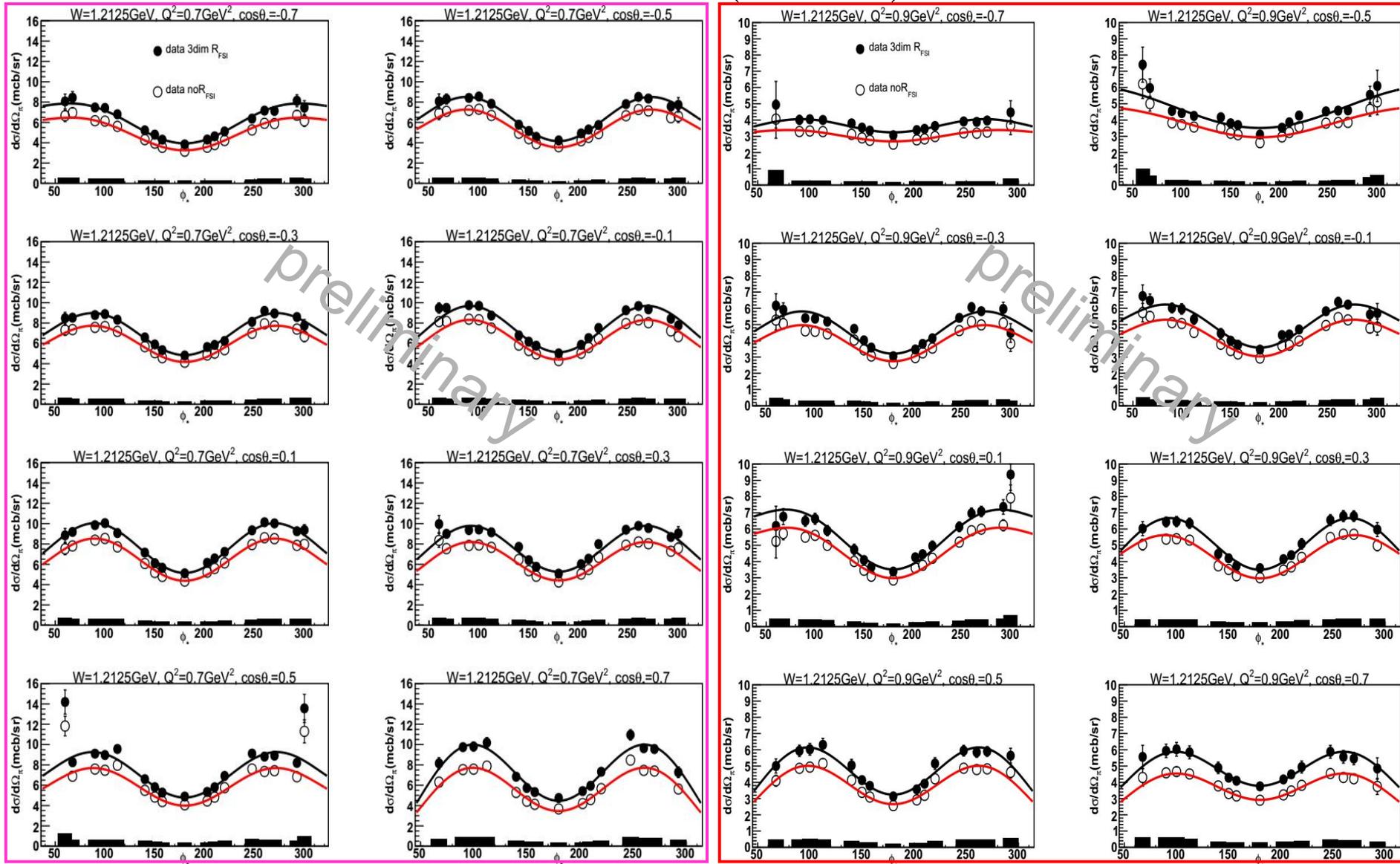
Preliminary results

$$Q^2=0.5\text{GeV}^2 \quad \cos\theta^* \in (-0.8, 0.8) \quad \Delta\cos\theta^* = 0.2$$



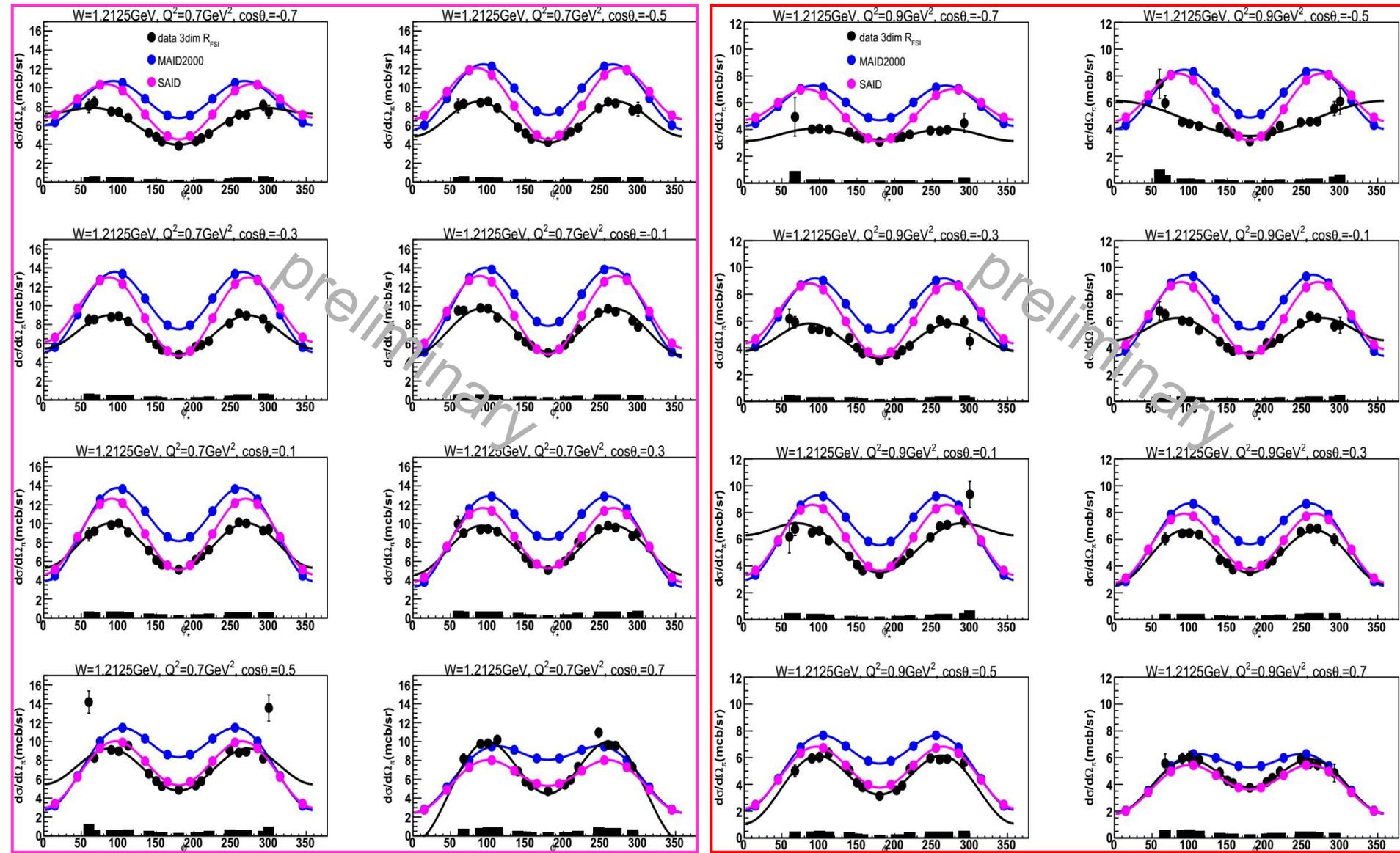
Preliminary results

$Q^2=0.7\text{GeV}^2$ $\Delta Q^2=0.2\text{GeV}^2$ $\cos\theta^* \in (-0.8,0.8)$ $\Delta\cos\theta^*=0.2$ $Q^2=0.9\text{GeV}^2$



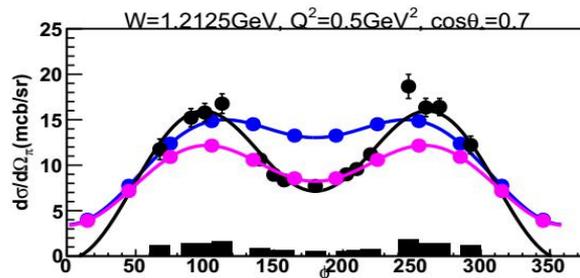
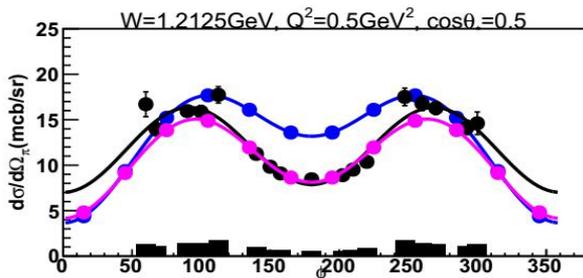
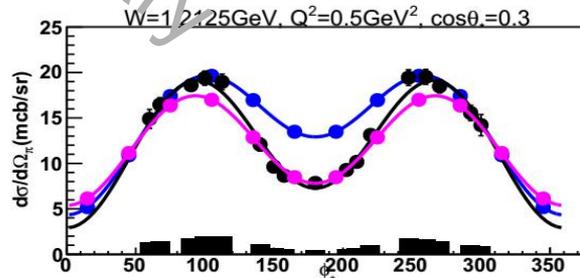
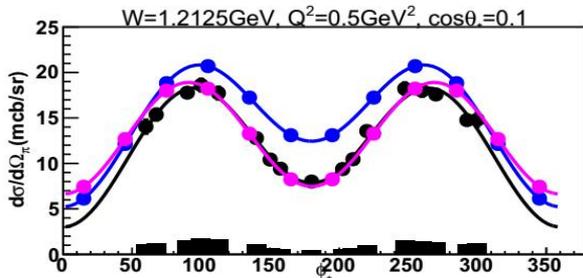
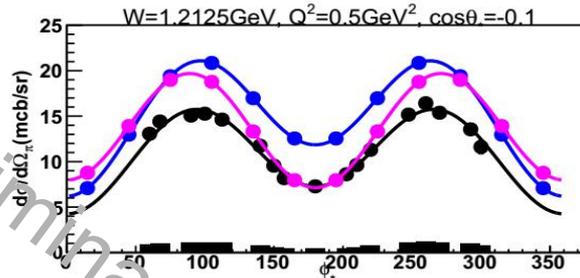
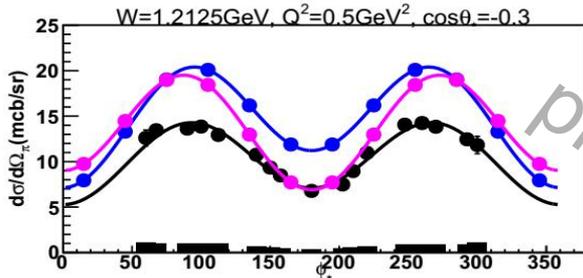
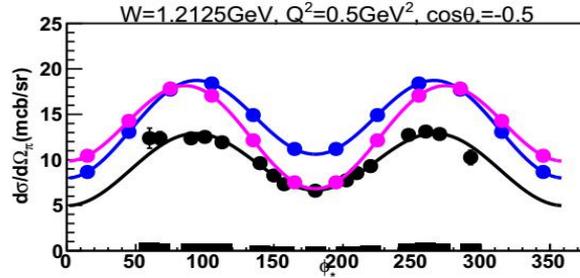
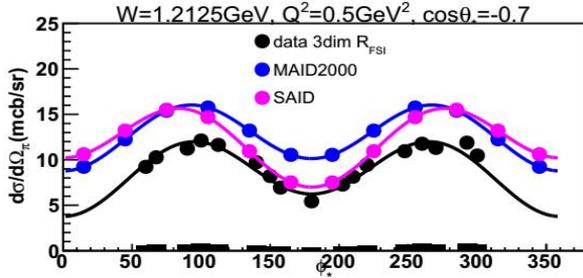
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Preliminary results

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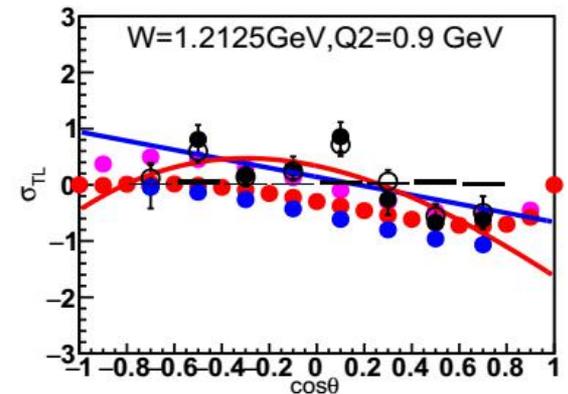
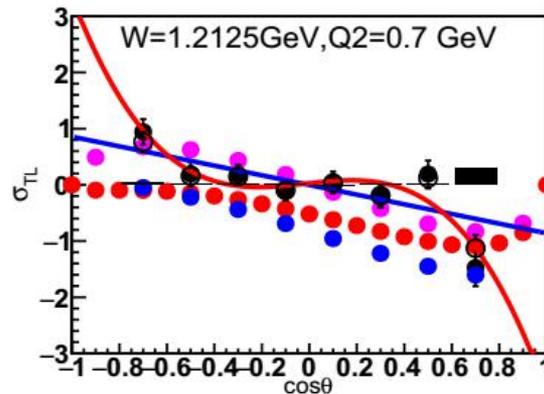
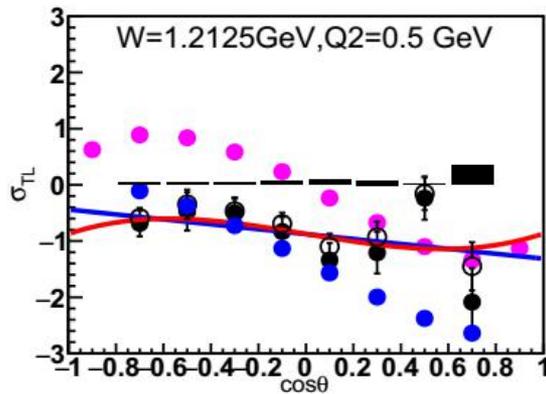
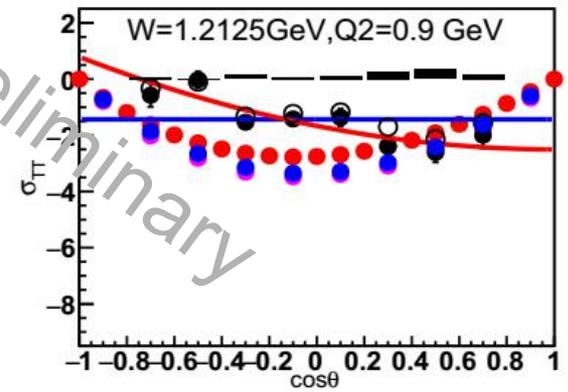
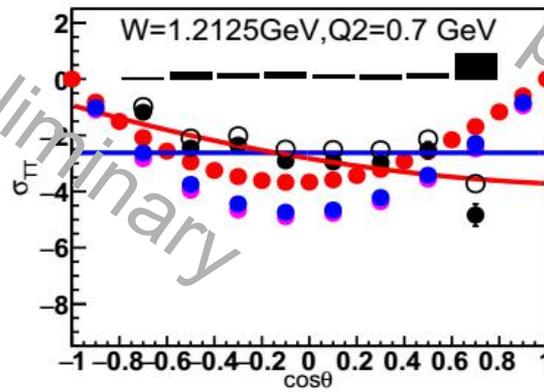
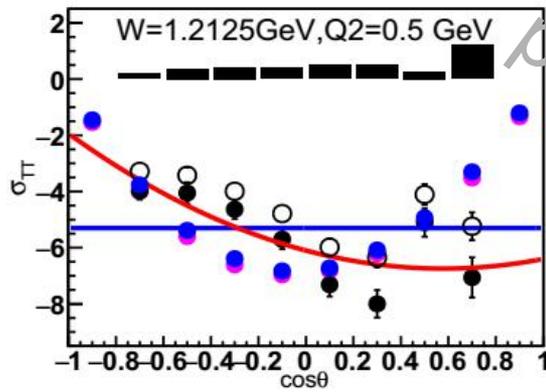
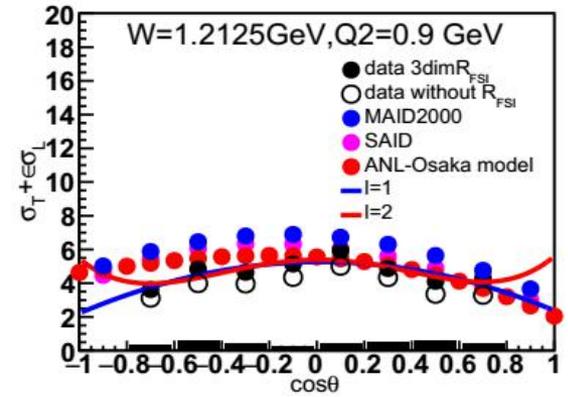
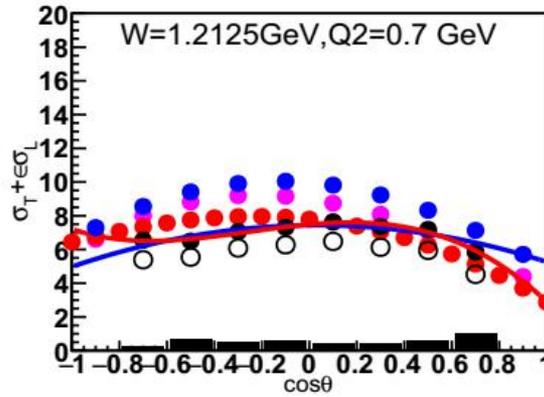
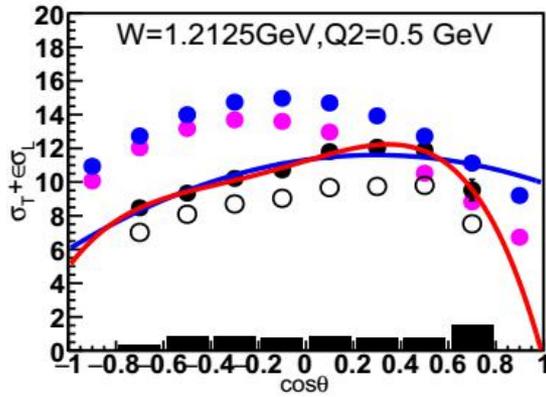
The Legendre polynomial expansion of the structure functions

$$\sigma_T + \varepsilon\sigma_L = \sum_{i=0}^{2l} A_i P_i(\cos\theta_\pi^*)$$

$$\sigma_{TT} = \sum_{i=0}^{2l-2} B_i P_i(\cos\theta_\pi^*)$$

$$\sigma_{LT} = \sum_{i=0}^{2l-1} C_i P_i(\cos\theta_\pi^*)$$

Preliminary results



Summary and outlook

- ◆ **The goal of this study is to provide the exclusive $\gamma^*(n) \rightarrow \pi^- p$ reaction cross section, from which the $n-N^*$ transition form factors will be extracted by phenomenological models.**
- ◆ **The final state interaction of the π^- electroproduction is on average about 10% to 20%, which will be used to correct the quasi-free neutron π^- electroproduction cross section off Deuterium.**
- ◆ **Next: preliminary differential cross sections with bin centering correction.**

Thank you

 **BES**

JLab

 **LEGS**

ELSA
MAMI



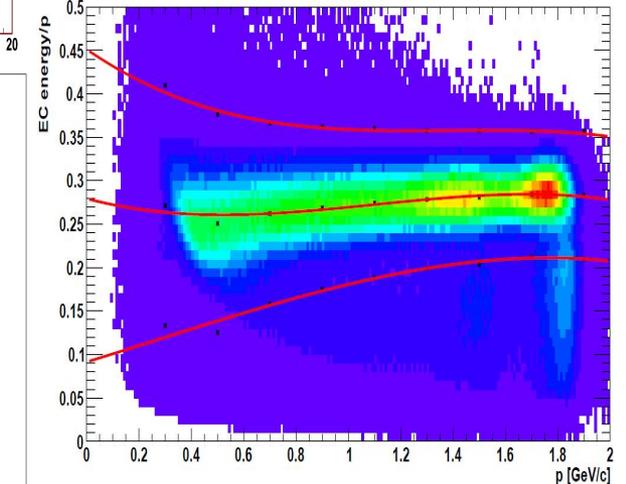
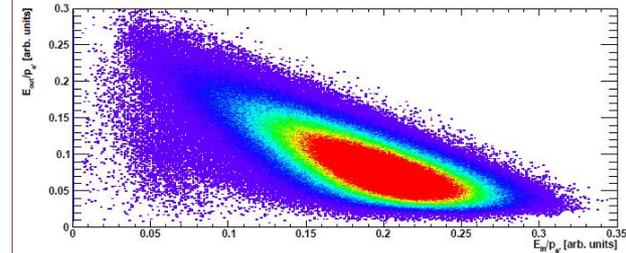
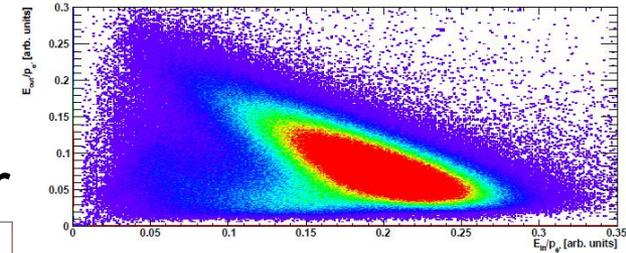
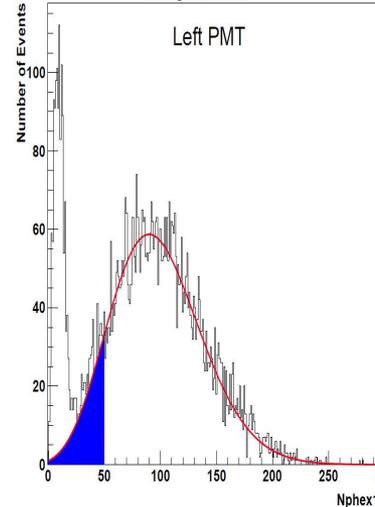
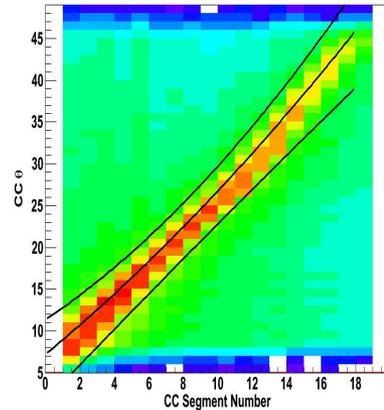
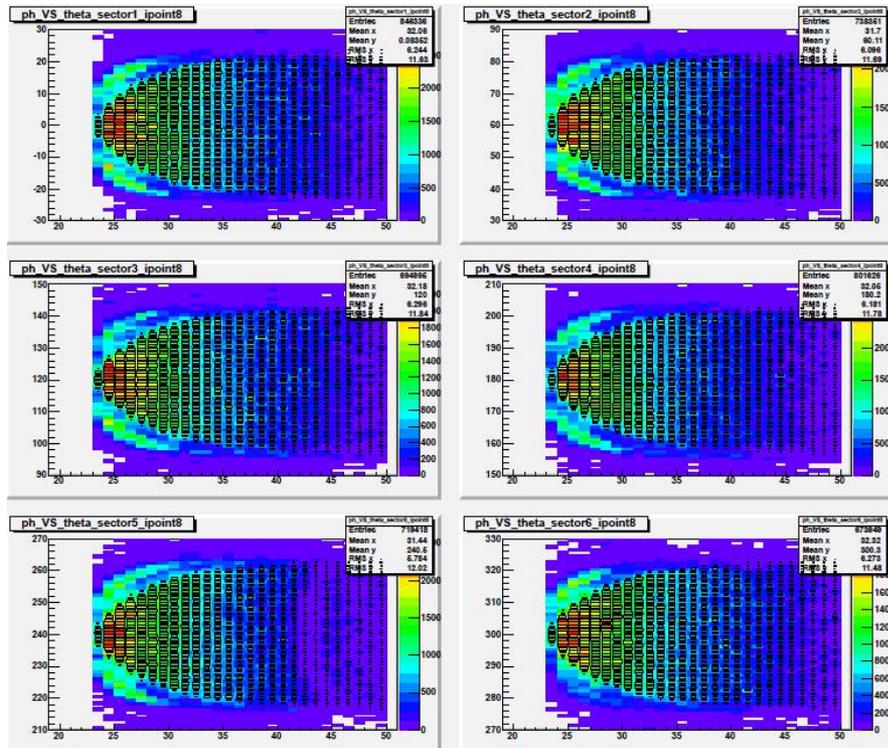
GRAAL

Backup

Electron identification

The electron identification includes the following requirements

- negative track that triggered the event
- coincidence of CC and EC hit
- track in DC and SC hit in the same sector
- good geometric hit status



Charged hadrons identification

The charged hadrons identification requirements:

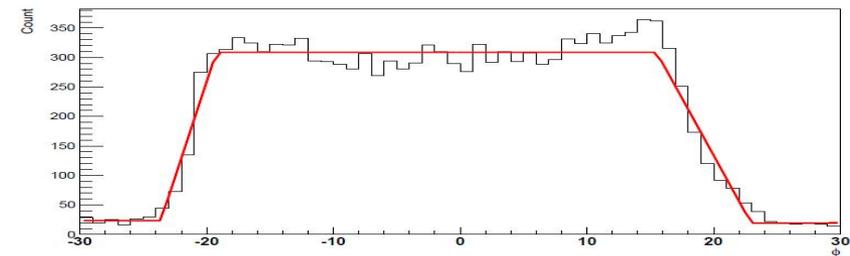
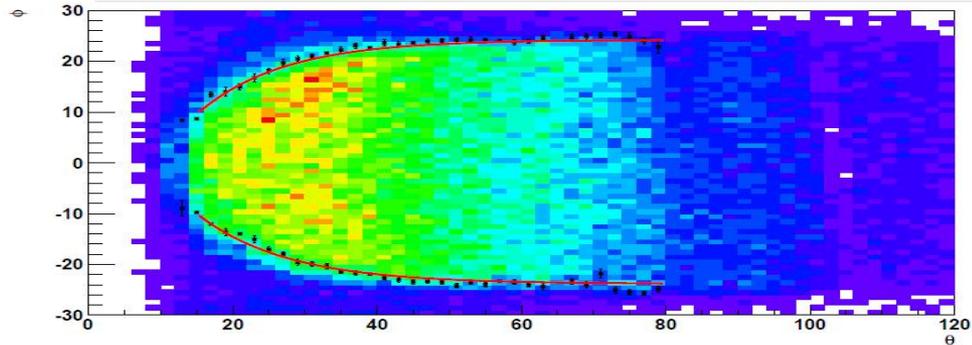
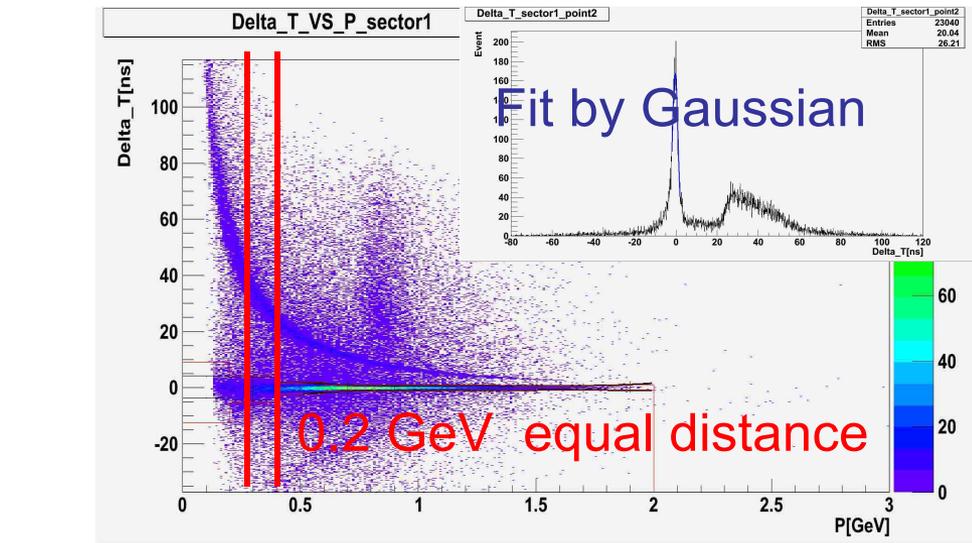
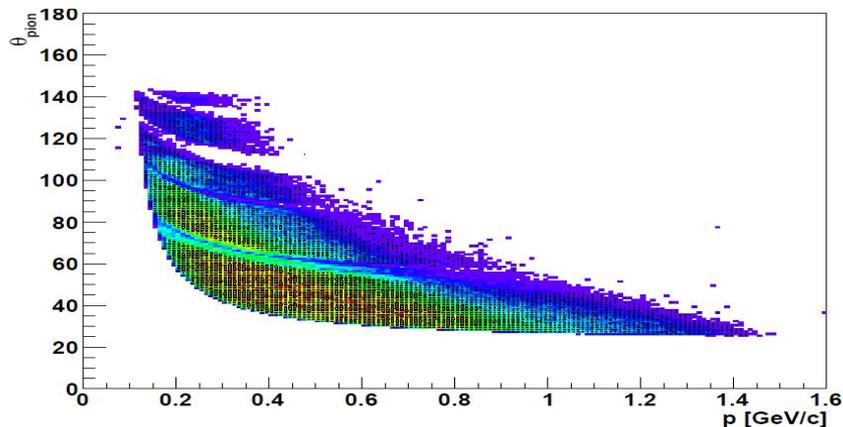
- matching charge
- SC hit
- good geometric hit status

$$T_0 = T_e - \frac{l_e}{c}$$

$$\beta = \frac{v}{c} = l / c (T - T_0)$$

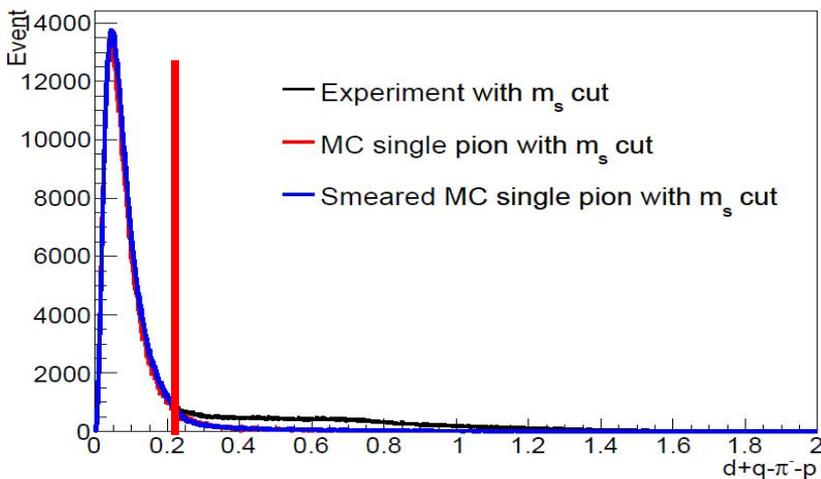
$$\Delta T = \frac{l}{\beta'} - (T - T_0)$$

$$\beta' = \sqrt{p^2 / (M_p^2 + p^2)}$$



Final state interaction correction factor

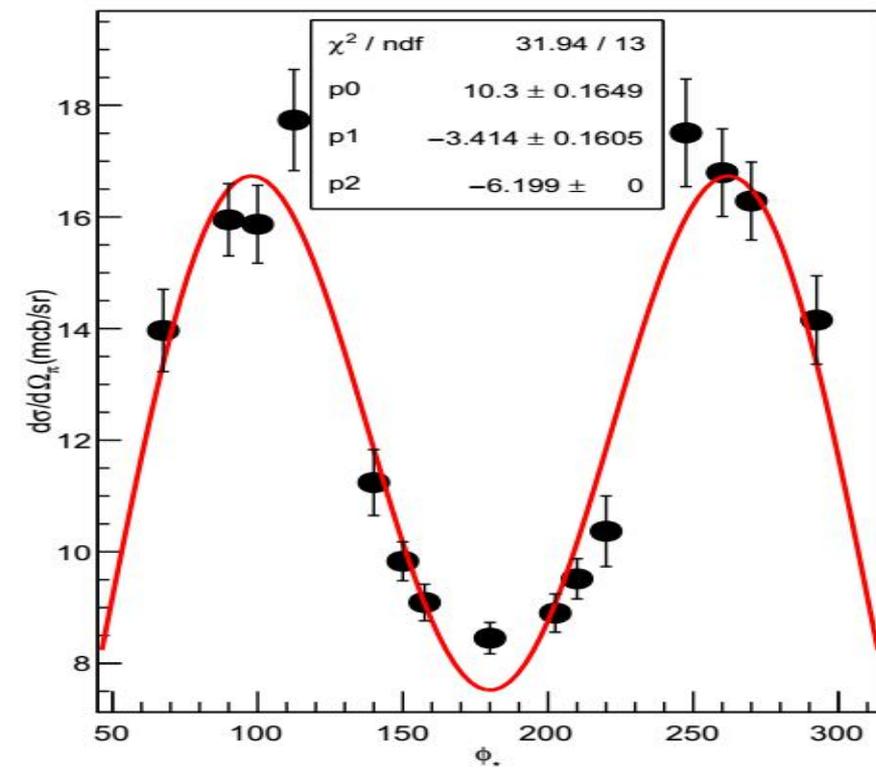
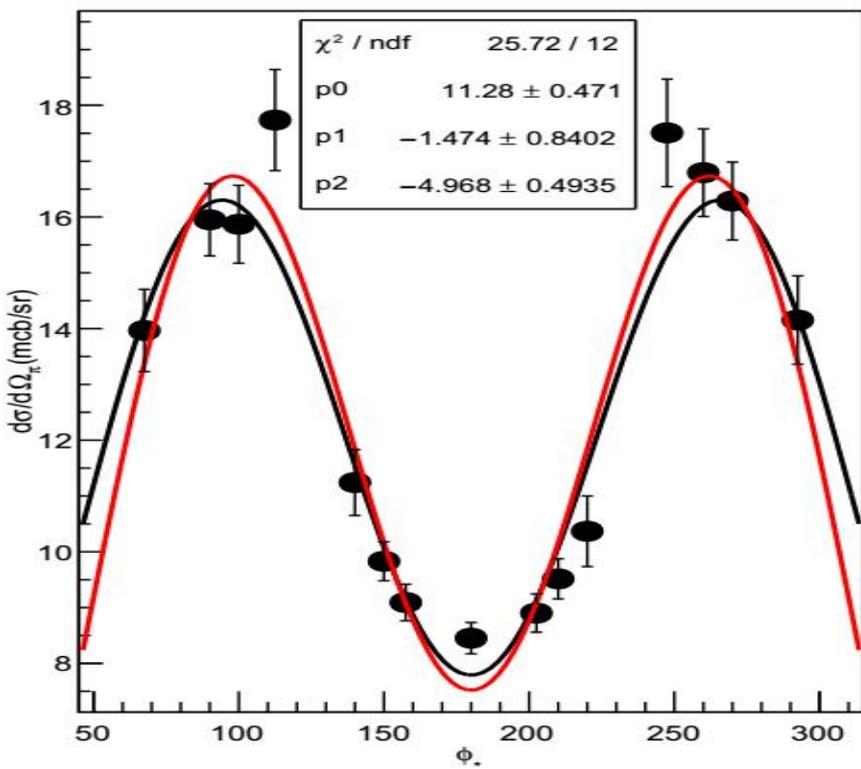
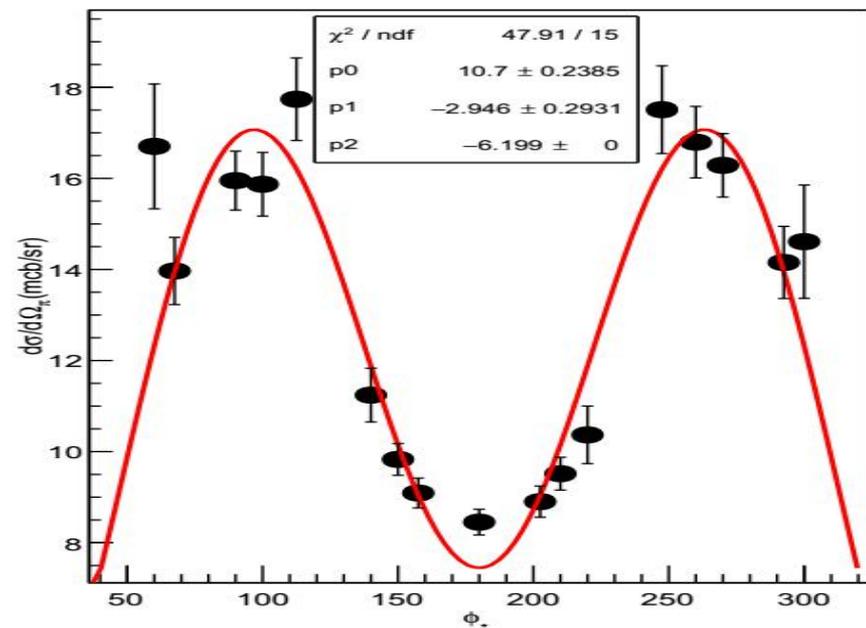
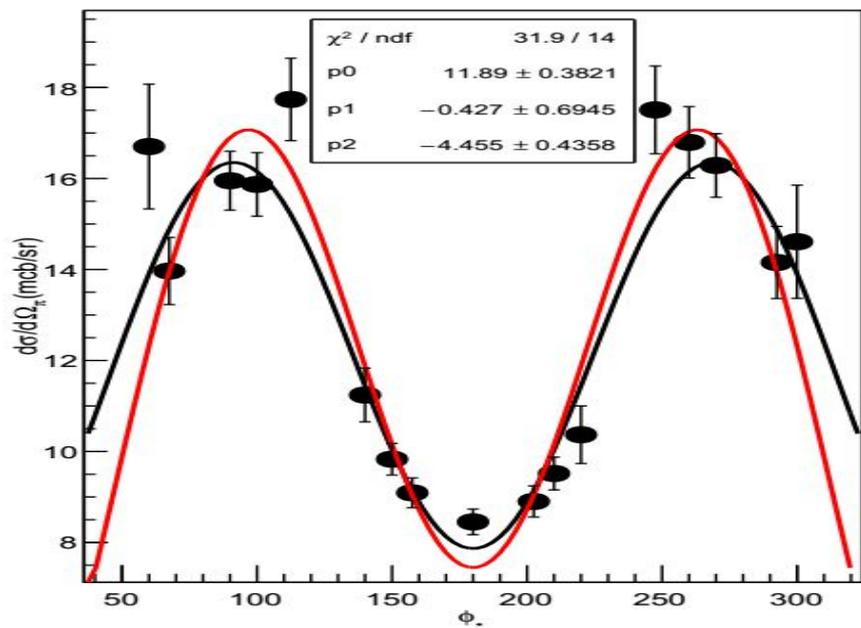
$$R_{FSI} = \frac{\frac{d\sigma^{quasi-free}}{d\Omega_{\pi^-}^*}}{d\sigma^{full}} = \frac{N_{data}^{200MeV-cut}(W, Q^2, \cos\theta, \phi) \cdot r(W, Q^2, \cos\theta, \phi)}{N_{data}^{full}(W, Q^2, \cos\theta, \phi)} = \frac{A^{200MeV-cut}(W, Q^2, \cos\theta, \phi) \cdot r(W, Q^2, \cos\theta, \phi)}{A^{full}(W, Q^2, \cos\theta, \phi)}$$

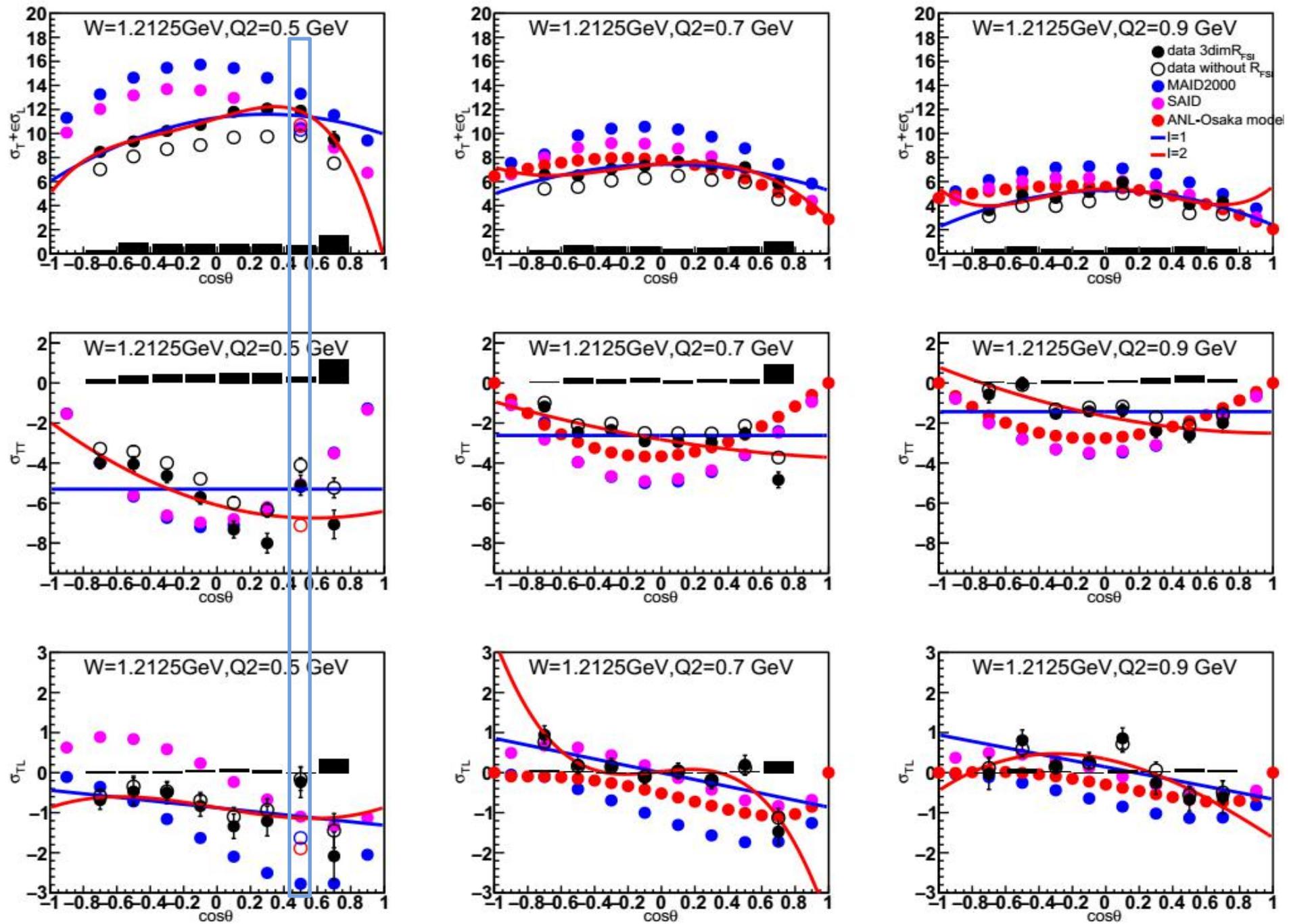


$$r(W, Q^2, \cos\theta, \phi)$$

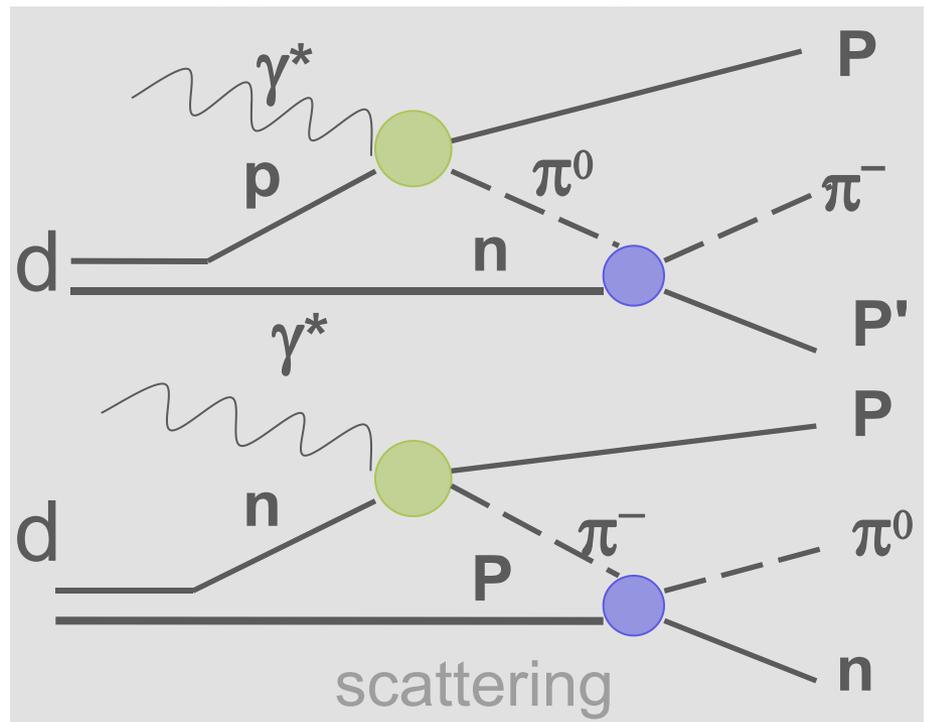
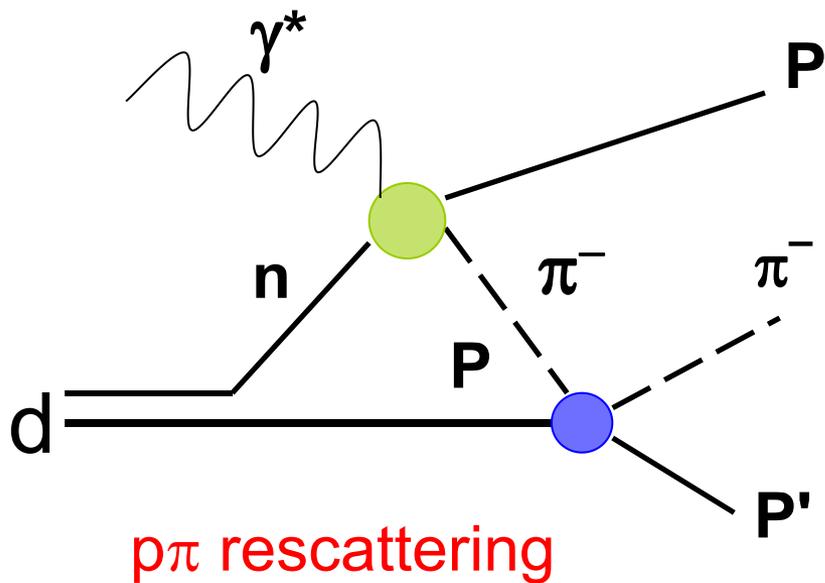
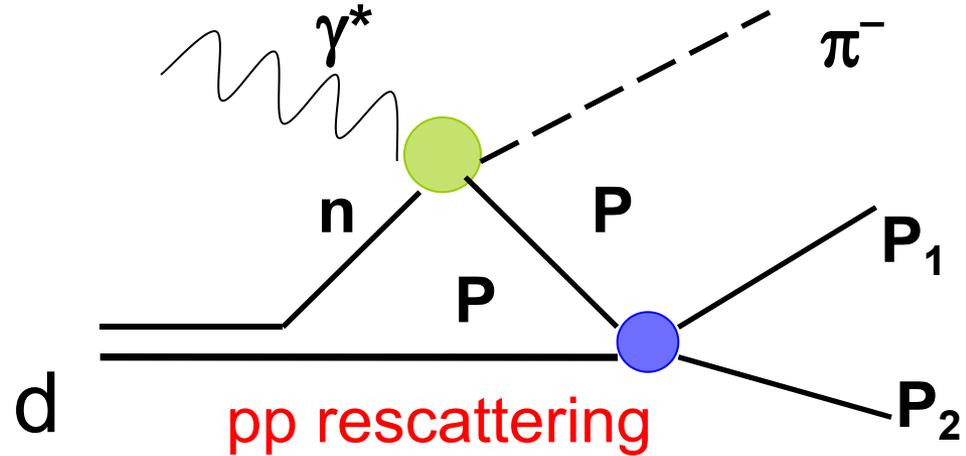
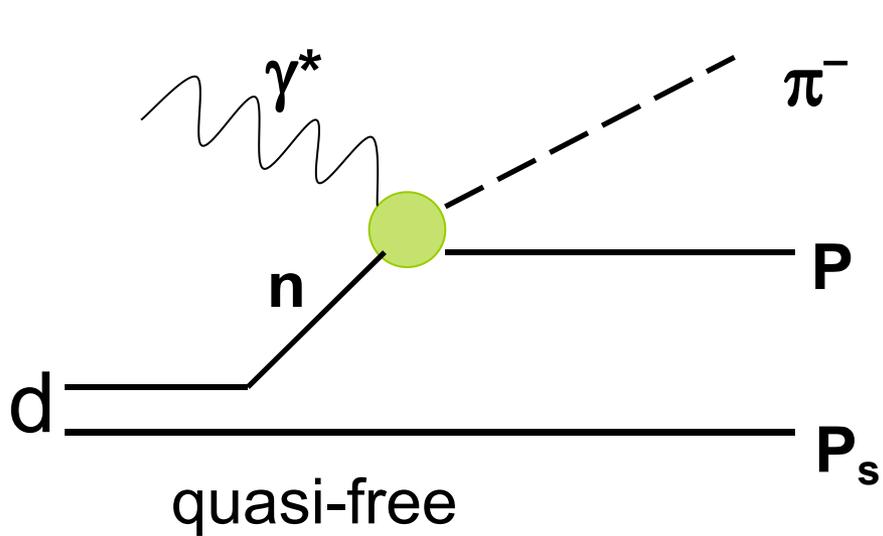
$$= \frac{N_{P_s-Bonn}^{200MeV-cut}(W, Q^2, \cos\theta, \phi)}{N_{P_s-Bonn}(W, Q^2, \cos\theta, \phi)}$$

$$\frac{\frac{d^2}{d\Omega_{\pi^-}^*} \gamma^* n_{exp} \sigma}{d\Omega_{\pi^-}^*} = R_{FSI}^{-1} \frac{\frac{d^2}{d\Omega_{\pi^-}^*} \gamma^* n_{exp} \sigma}{d\Omega_{\pi^-}^*}$$





Final state interactions



Other channels

$\gamma^* p(n) \rightarrow p \pi^+ \pi^-(n)$ main background channel

$\left\{ \begin{array}{l} \gamma^* p(n) \rightarrow p \pi^0(n) \rightarrow \pi^- p \text{ final state goes in channel} \\ \gamma^* n(p) \rightarrow p \pi^-(p) \rightarrow \pi^0 n \text{ final state goes out channel} \end{array} \right.$

need combined analysis channels

$$\gamma^* + p \rightarrow \pi^+ + n$$

$$\gamma^* + d(p) \rightarrow \pi^+ + n + n_s$$

$$\gamma^* + d(n) \rightarrow \pi^- + p + p_s$$