

DVCS Calorimeter Analysis : E12-06-144 (Fall 2014/Spring2015)

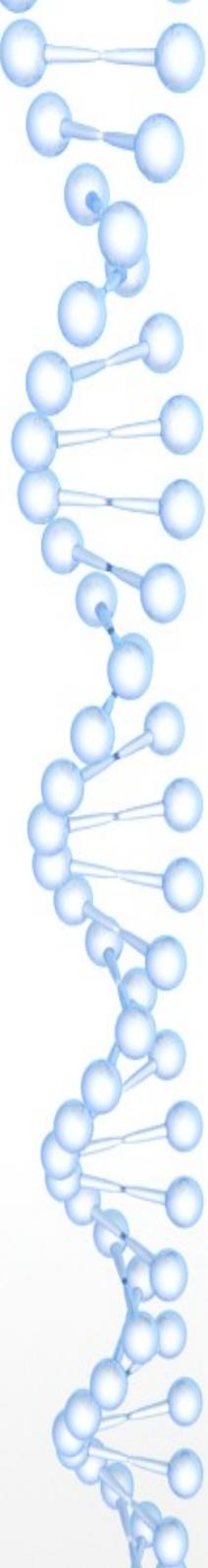
**DVCS Meeting
18 January 2016**

Mongi Dlamini



**OHIO
UNIVERSITY**



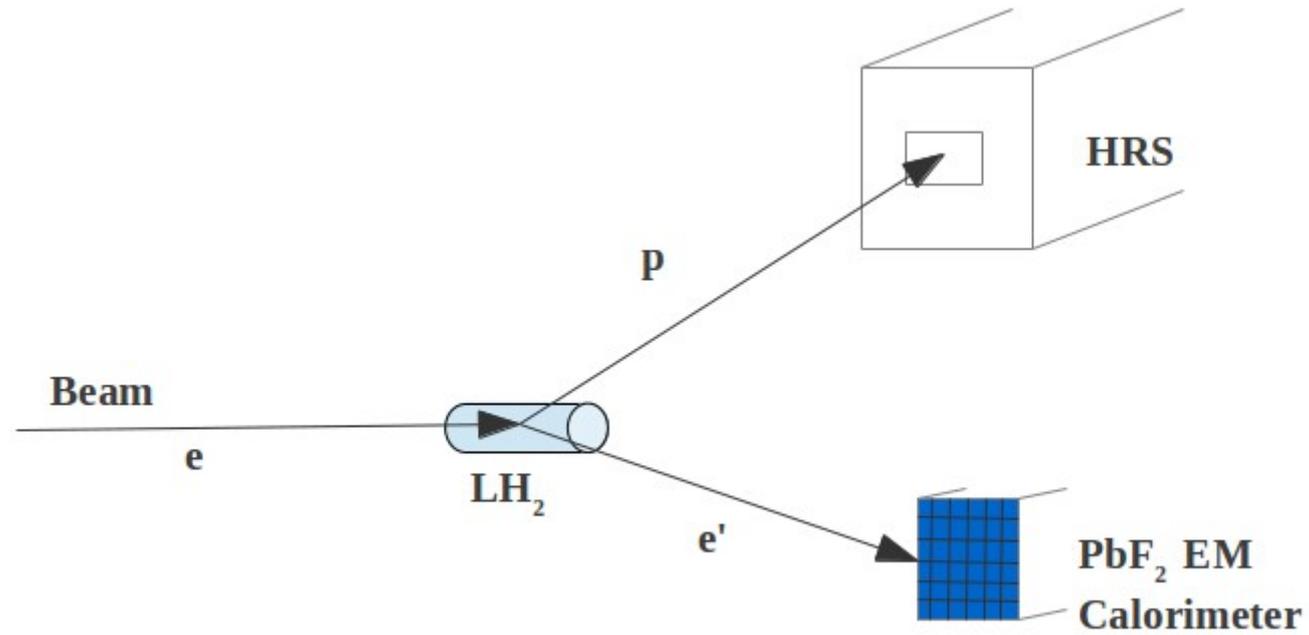


Outline:

- Elastic Calibration(s)
- Extraction of reference pulses
- Coincidence time optimization
- Resolution studies with high current and pileup

Calorimeter elastic calibration

Experiment setup



Calorimeter elastic calibration

Calibration Procedure

→ The goal is to extract energy conversion coefficients and hence adjust the HV for all blocks accordingly

→ We define a χ^2 and minimize it to get 208 linear equations

minimization

$$\chi^2 = \sum_{j=0}^{N_{events}} \left(E_j - \sum_{i=0}^{N_{blocks}} (C_i A_i^j) \right)^2$$

* E_j : electron energy for event j , from HRS,
* A_i^j : signal amplitude for block i ,
* C_i : calibration coefficient for block i .

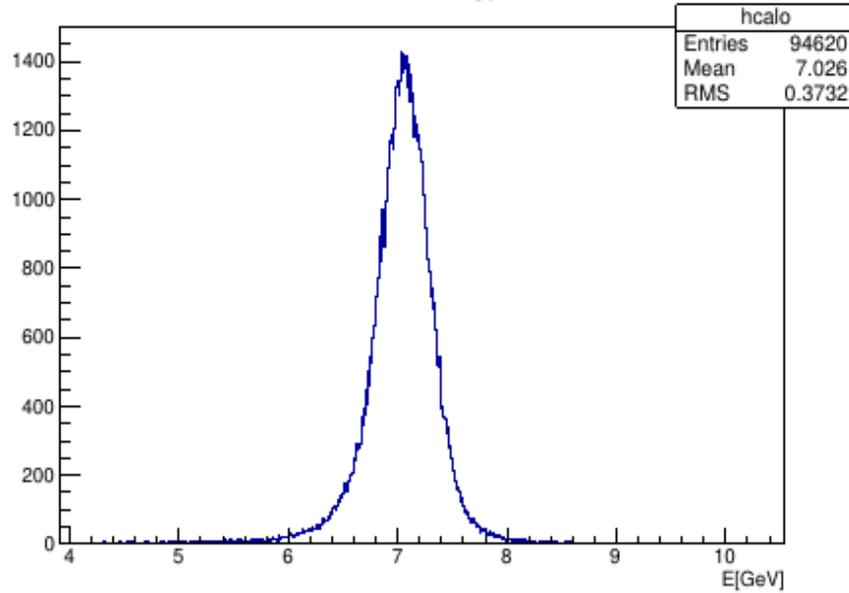
$$\sum_i^{N_{blocks}} \left(\sum_{j=1}^{N_{events}} A_j^k A_j^i \right) C_i = \sum_{j=1}^{N_{events}} E_j A_j^k$$

→ We invert 208 by 208 matrix to obtain coefficients

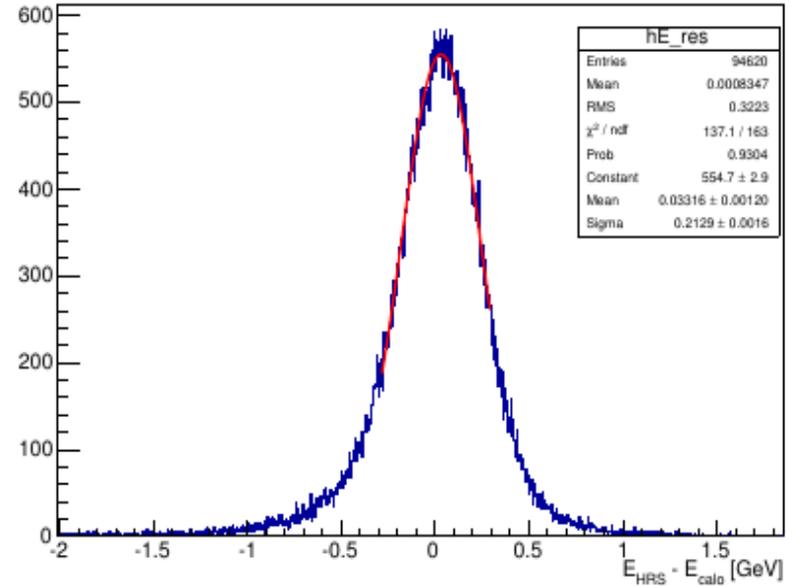
Calorimeter elastic calibration

Calibration results (Spring 2015)

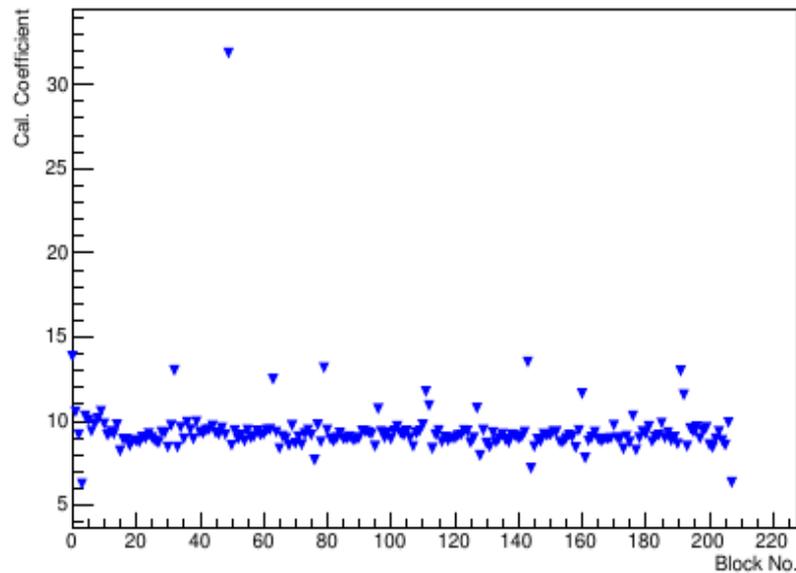
Calo energy



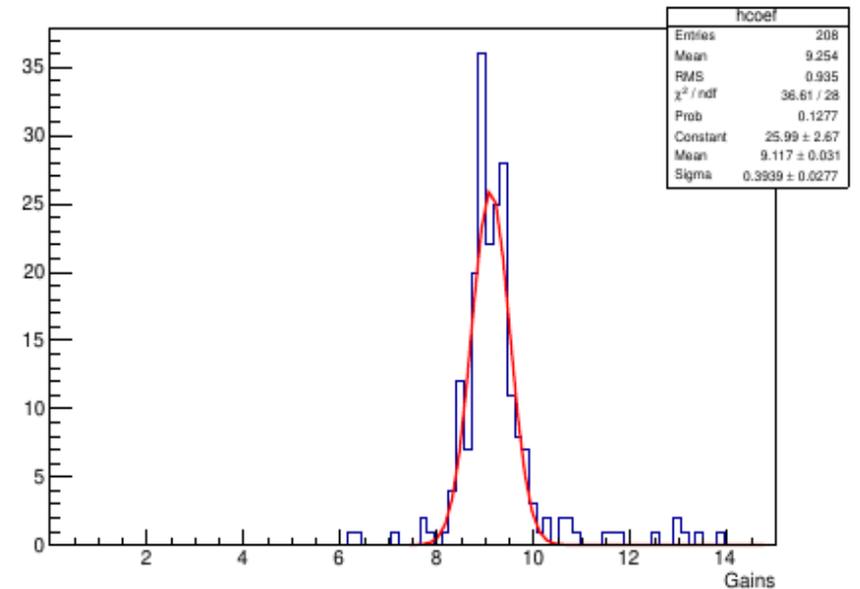
Energy resolution



Block calibration coefficient



Coefficient Distr.



Calorimeter elastic calibration

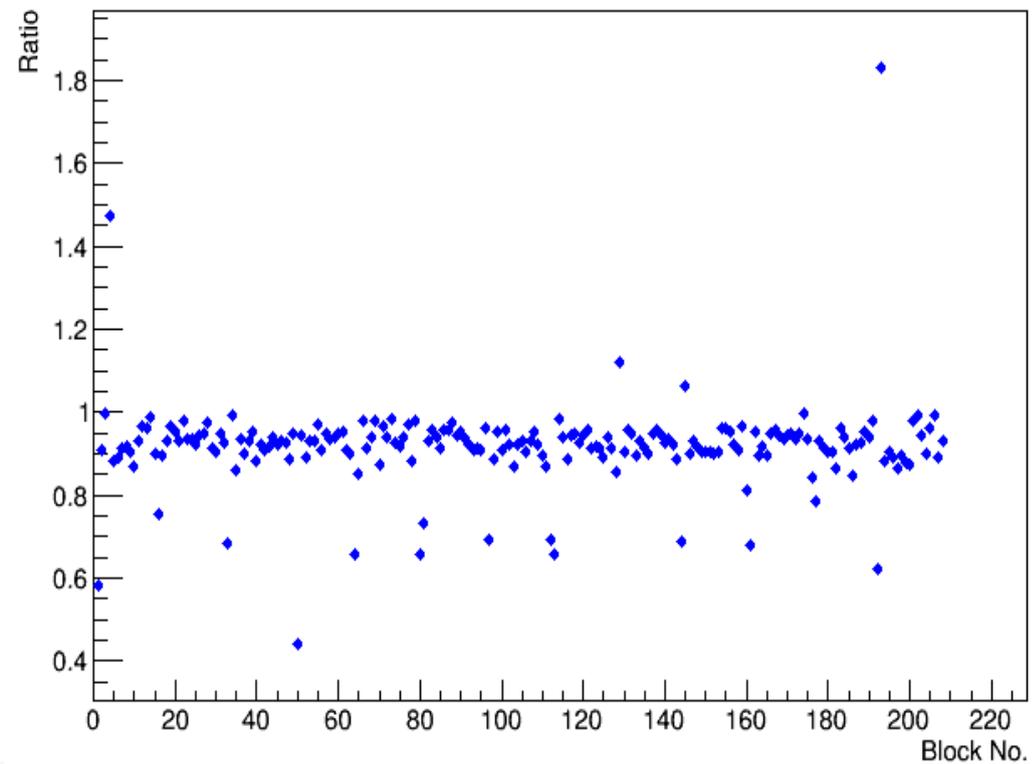
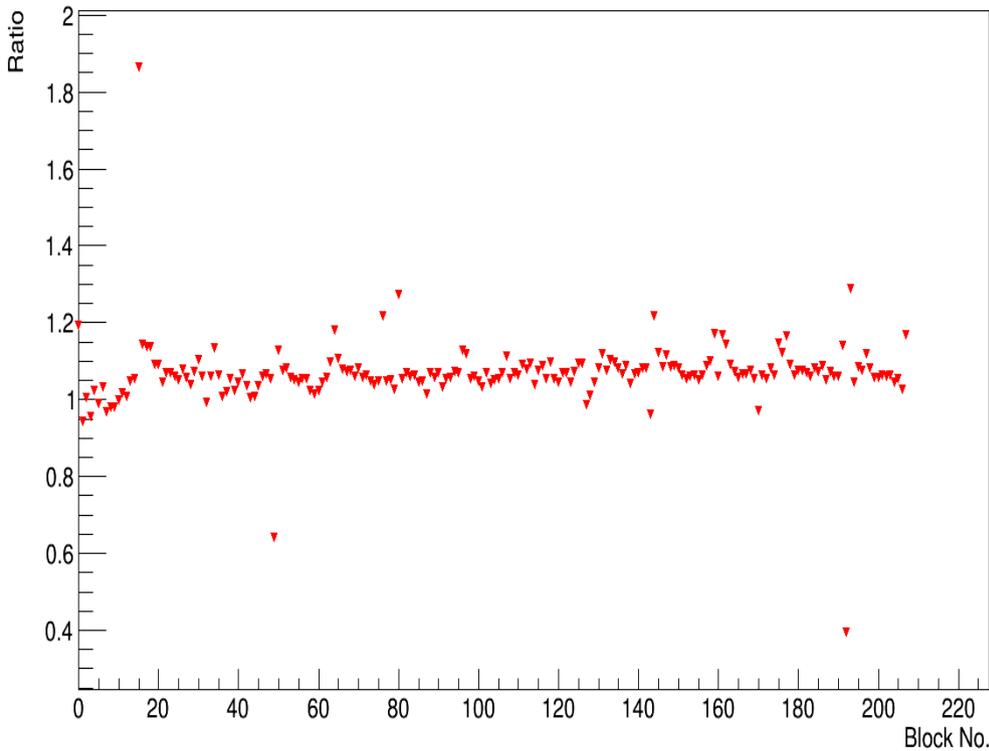
Comparing calibration coefficients

→ comparing coefficients to check consistency

$$\frac{C_2}{C_1} = \left(\frac{V_1}{V_2} \right)^\beta \quad \longrightarrow \quad 1 = \frac{C_1}{C_2} \left(\frac{V_1}{V_2} \right)^\beta$$

Comparison of calibration coefficients (WF-Fall1/Fall2)

Comparison of calibration coefficients (WF-Fall2/Spring15)



Calorimeter elastic calibration

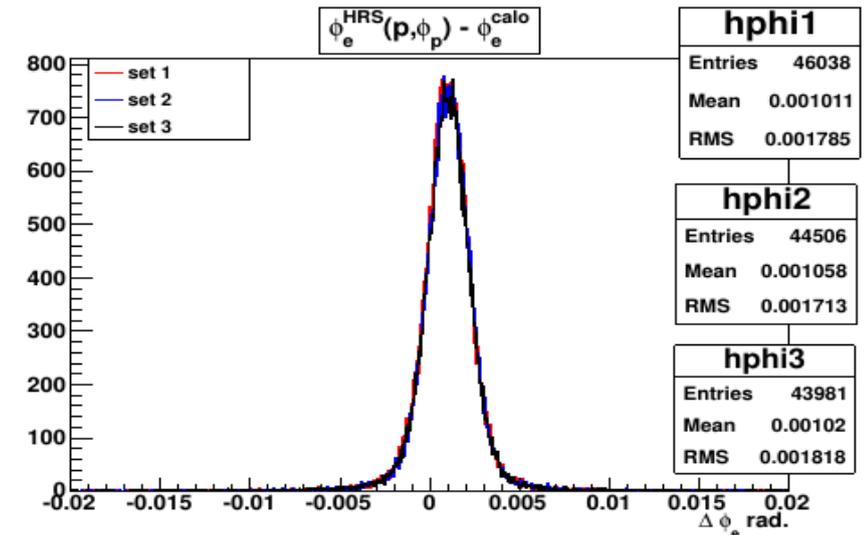
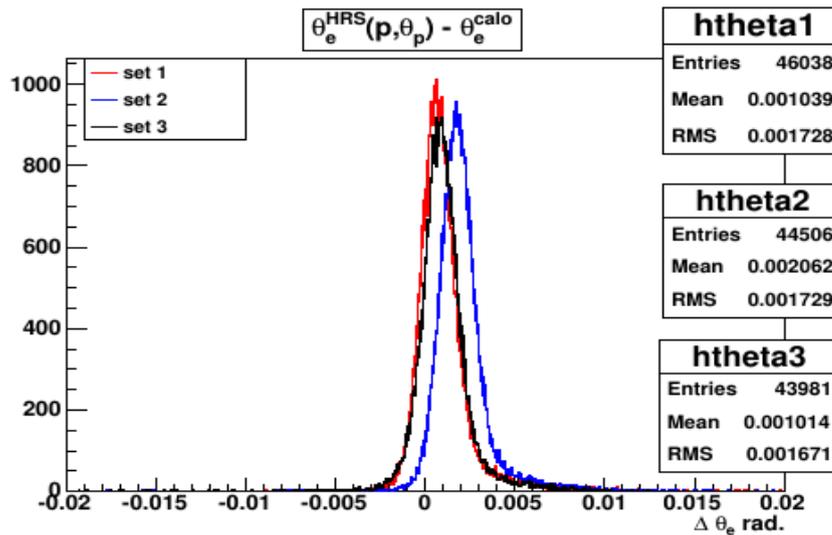
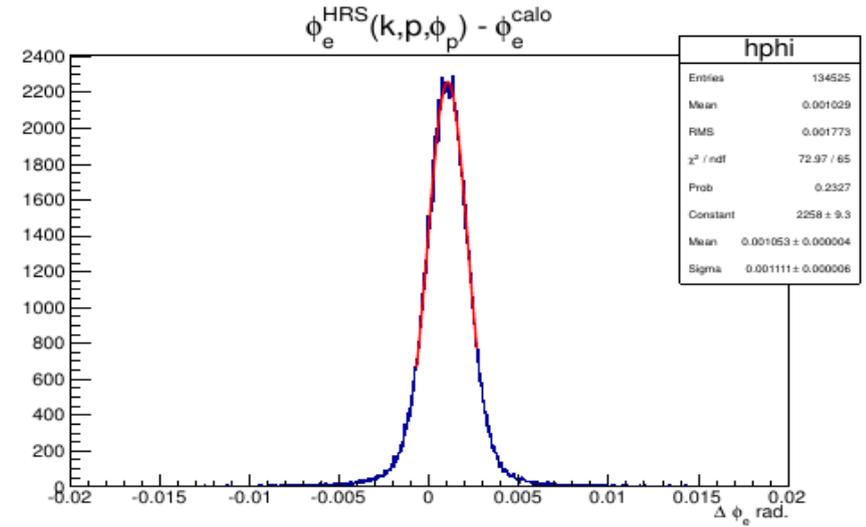
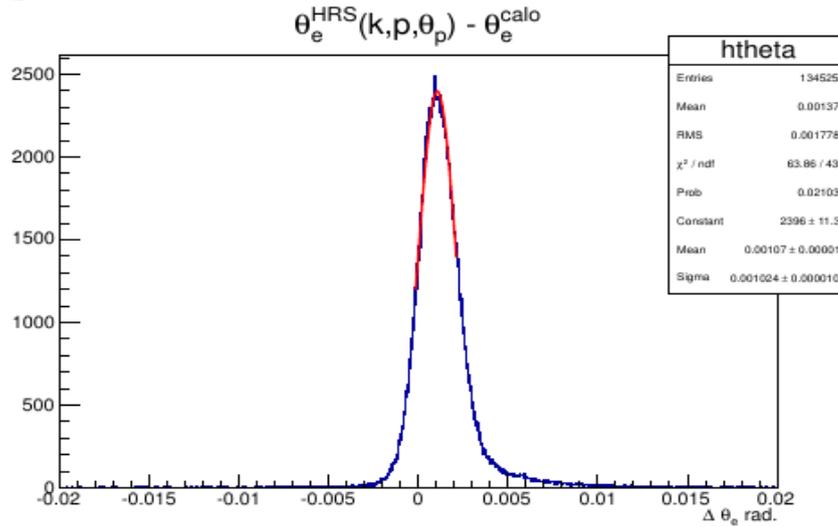
Calibration results (Spring 2015)

$$\theta_{calo}^e = atan\left(\frac{p'_{ex}}{p'_{ez}}\right)$$

$$\theta_{HRS}^e = atan\left(\frac{-p'_{Px}}{E_b - p'_{Pz}}\right)$$

$$\phi_{calo}^e = atan\left(\frac{p'_{ey}}{\sqrt{(p'_{ex})^2 + (p'_{ez})^2}}\right)$$

$$\phi_{HRS}^e = atan\left(\frac{-p'_{Py}}{\sqrt{(p'_{Px})^2 + (E_b - p'_{Pz})^2}}\right)$$



Calorimeter elastic calibration

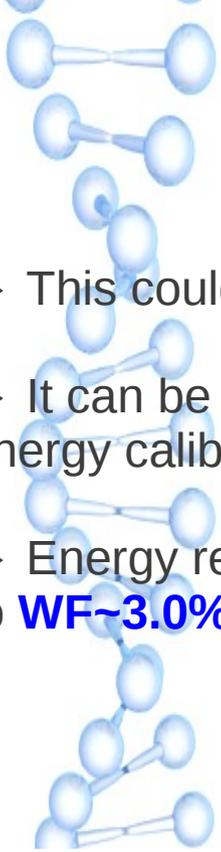
Calibration Summary

Calibration	Beam energy (GeV)	Energy resolution (%)	Angular res. (θ) [mrad]	Angular res. (Φ) [mrad]	Θ Offset (mrad)	Φ offset (mrad)
Fall 1 07 Dec' 14	7.3	4.1	1.1	1.5	-1.0	0.9
Fall 2 09 Dec' 14	7.3	3.5	1.2	1.4	-1.4	1.0
Spring 15 23 March 15	9.6	3.0	1.0	1.1	1.1	1.1

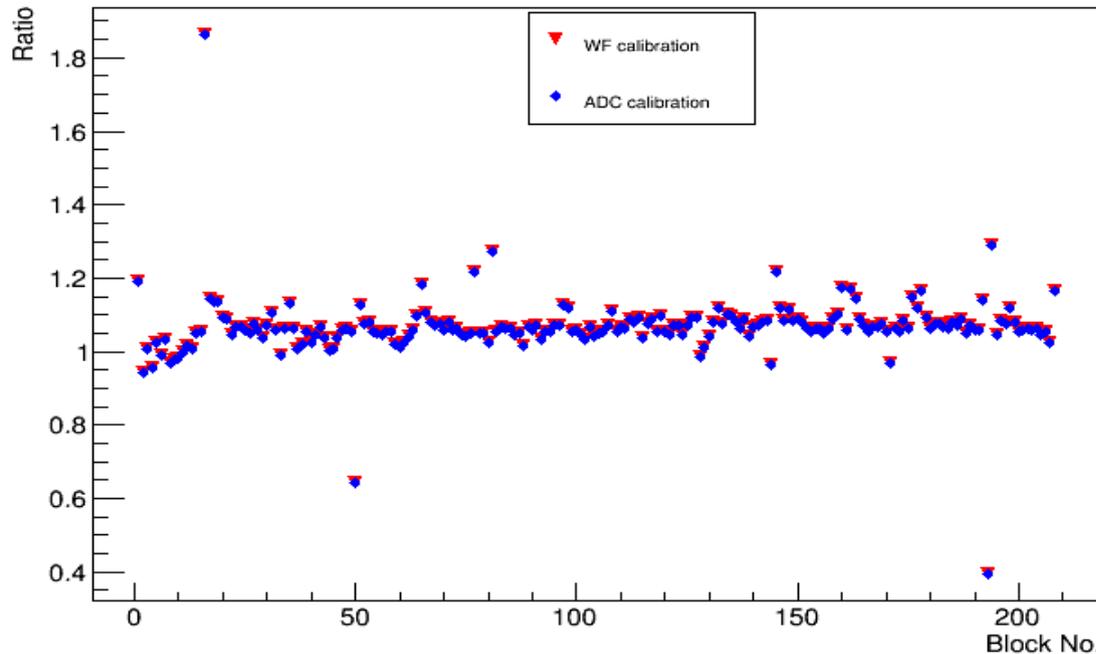
Calorimeter elastic calibration

Calibration using trigger (ADC) signals?

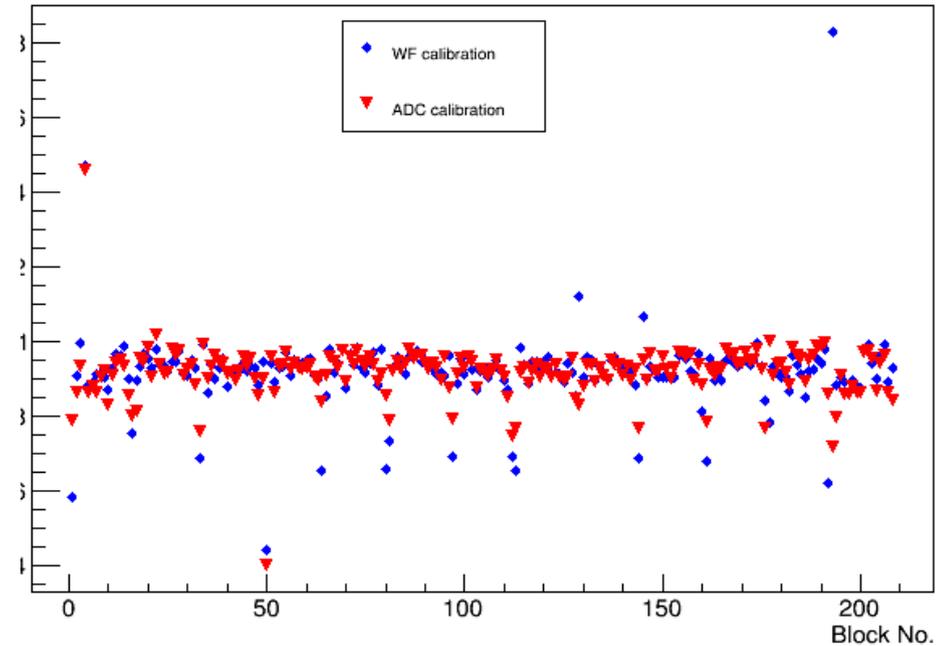
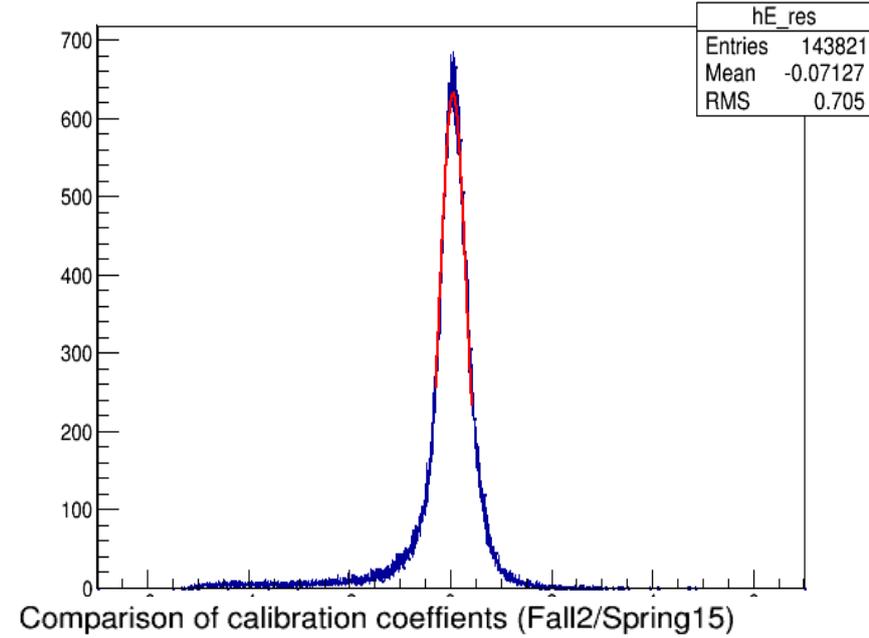
- This could be faster than the full energy calibration
- It can be also useful for comparison with the full energy calibration
- Energy resolution of 3.6% for Spring 15 (compare to **WF~3.0%**)



Comparison of calibration coefficients (Fall1/Fall2)



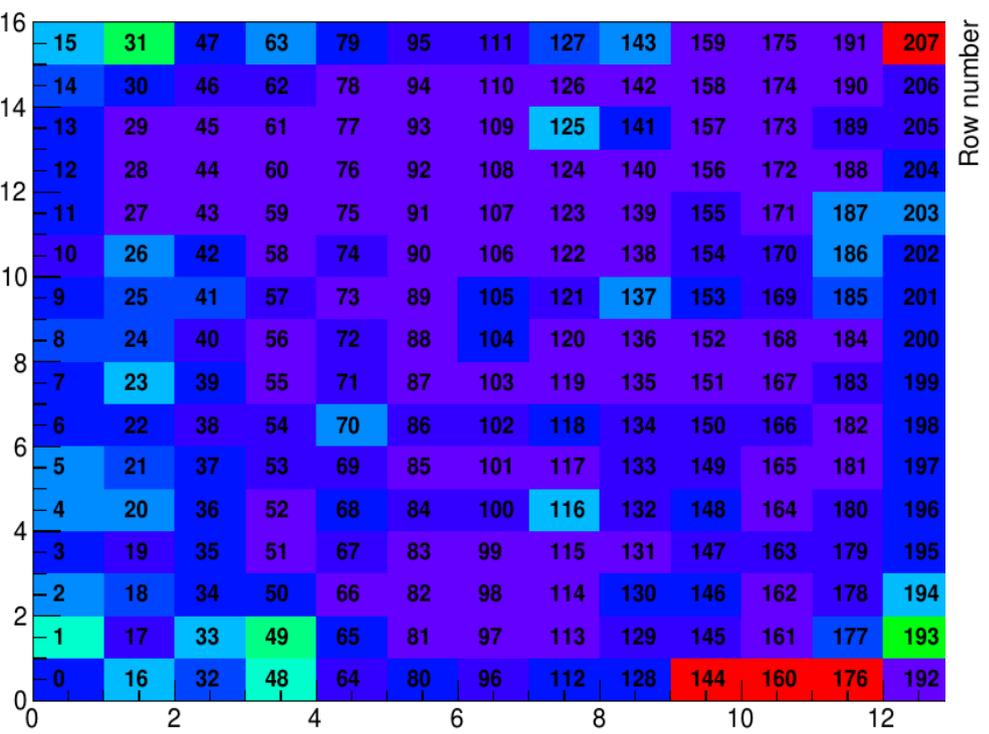
Energy resolution



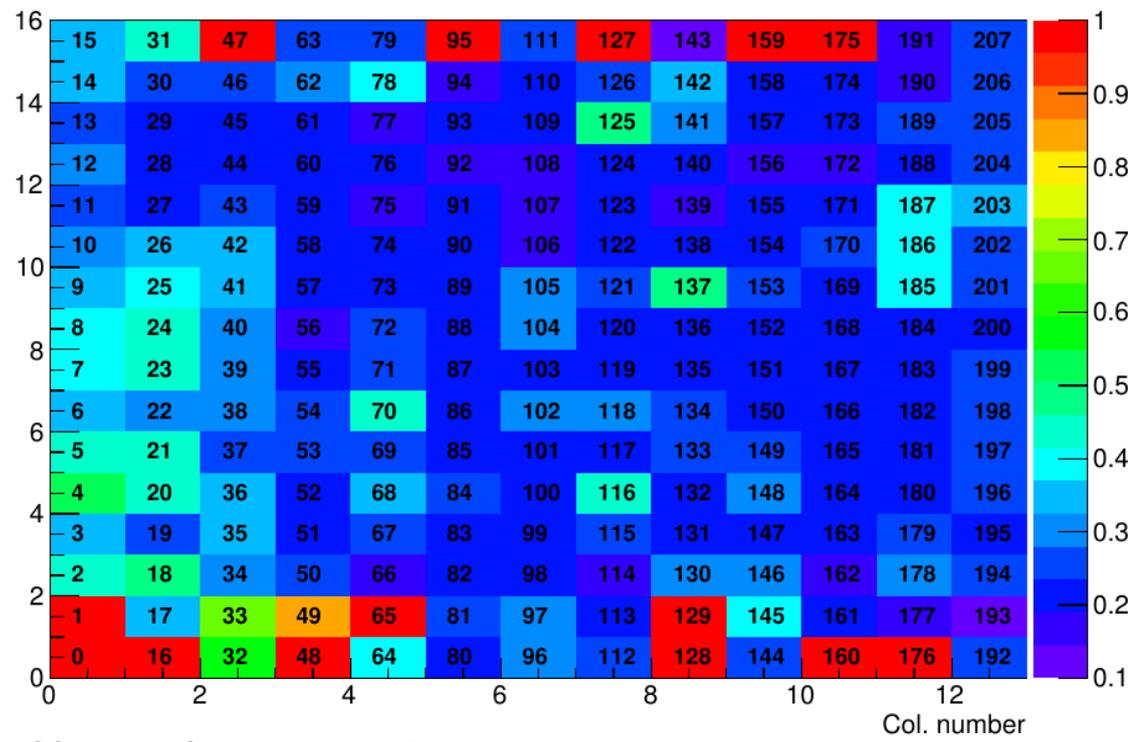
Calorimeter elastic calibration

Energy resolution per block

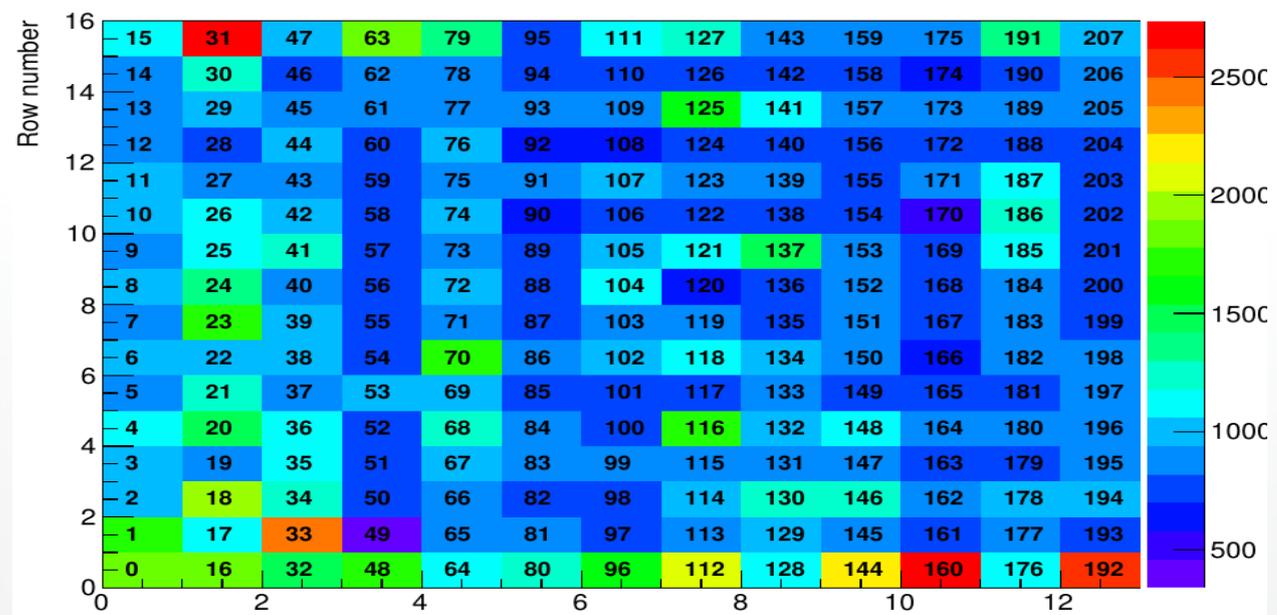
Energy Resolution from elastic (GeV) at 5GeV



Energy Resolution from elastic (GeV) at 7GeV



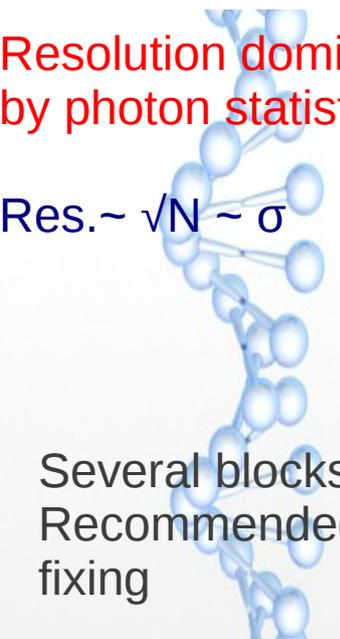
Resolution with cosmics, run 11252



Resolution dominated by photon statistics

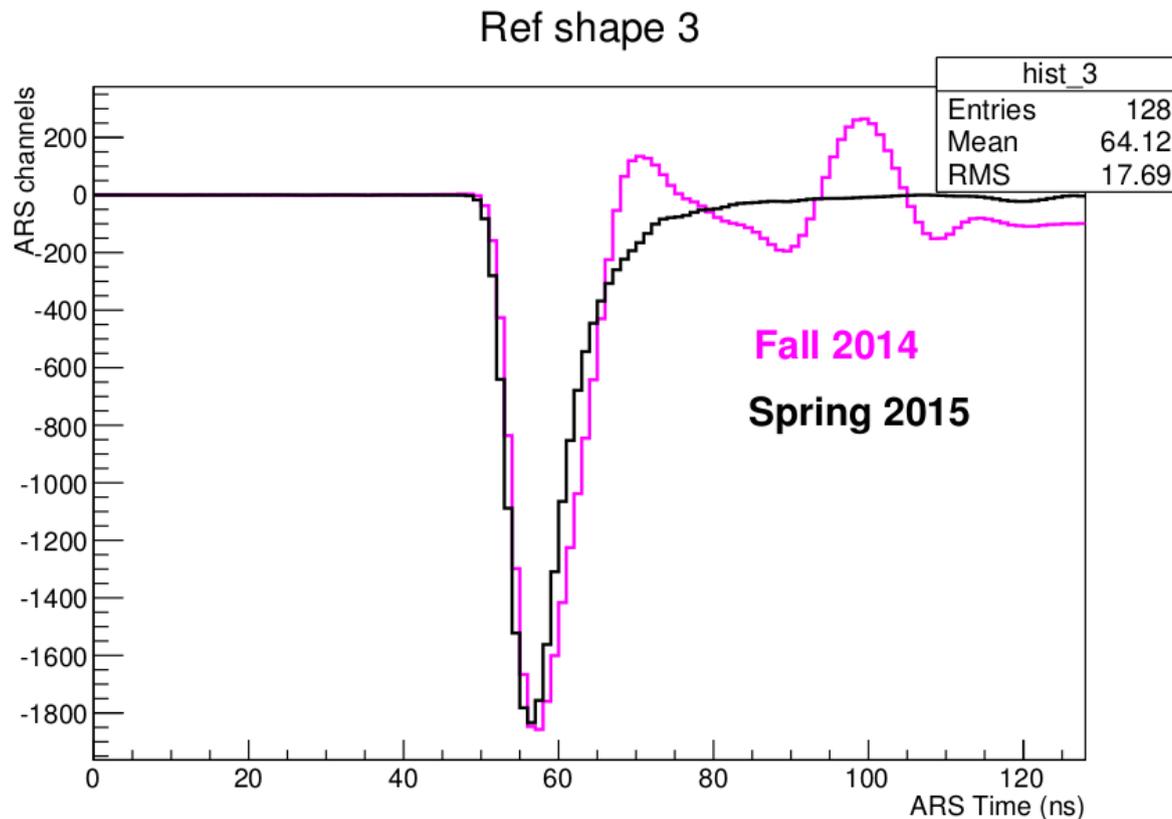
$Res. \sim \sqrt{N} \sim \sigma$

Several blocks Recommended for fixing



Signal analysis: Reference shapes

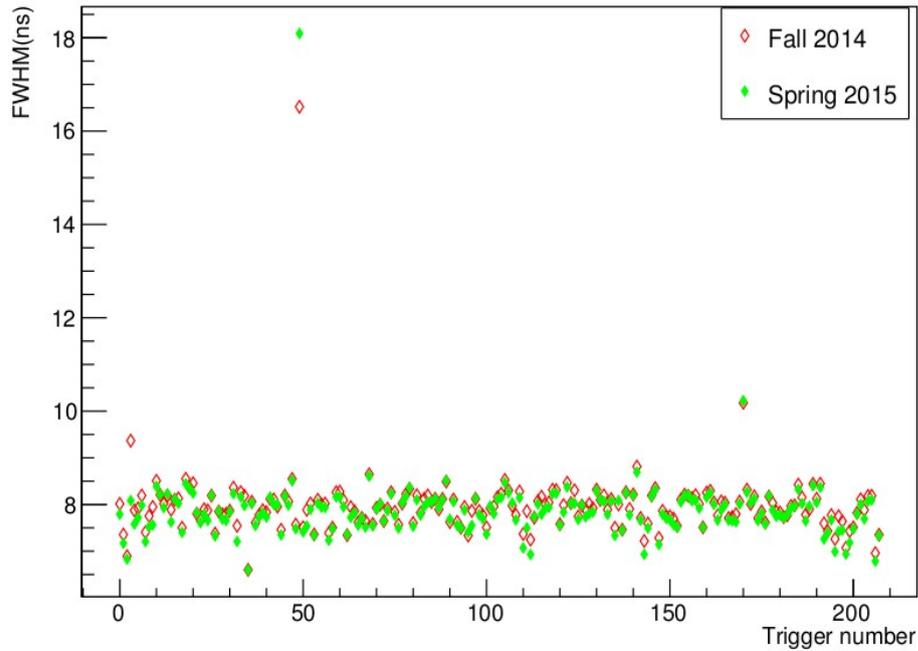
- Reference pulses are extracted from elastic data (clean)
- A reference pulse is created for each block
- A selection of signals with a high response from the PMTs is done for candidate pulses
- An iterative averaging in both time and amplitude is done for all selected pulses in a block



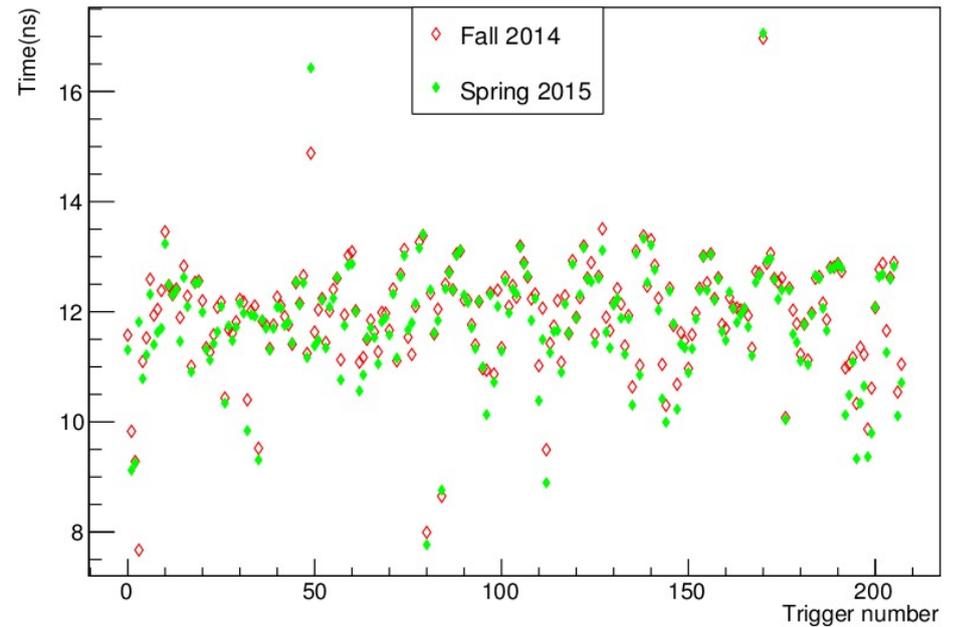
Signal analysis: Reference shapes

→ Can we use just one reference shape?

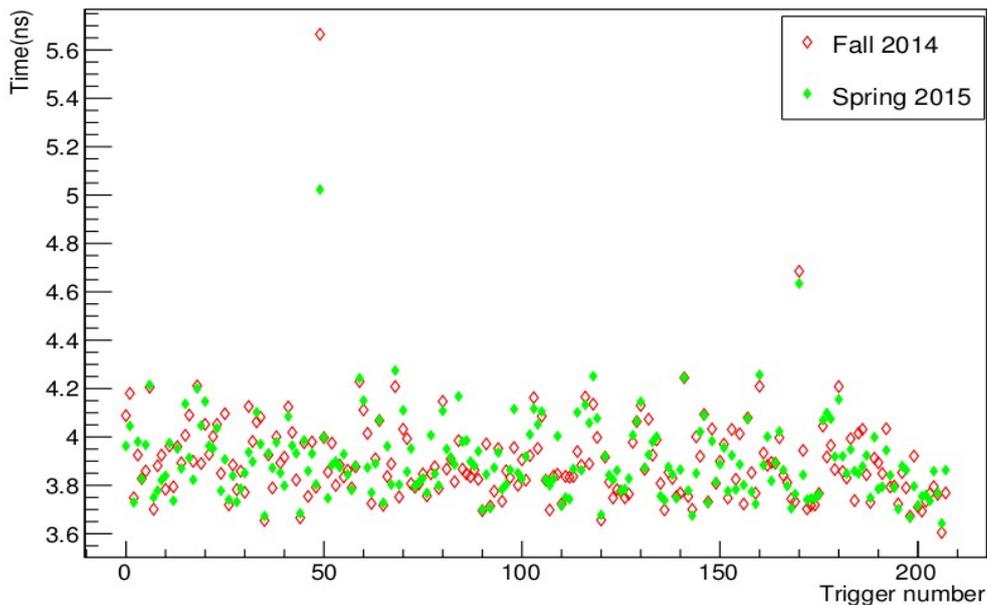
FWHM per calorimeter block



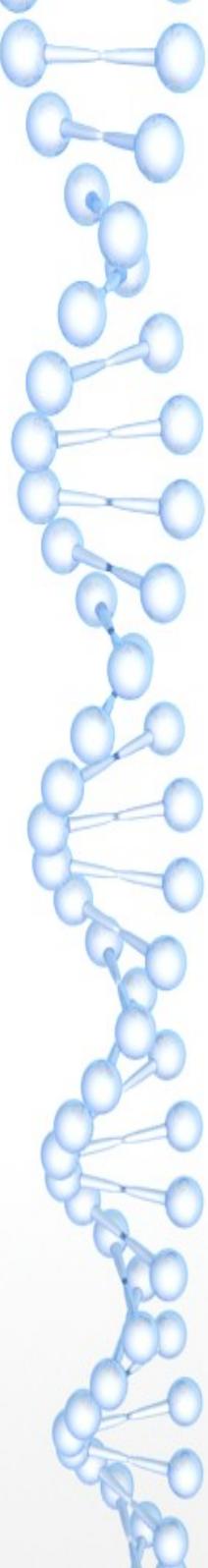
Signal fall times per block



Signal rise times per block



→ After investigation of FWHM, rise and fall times for each reference shape, we conclude they are different.



Signal analysis: Coincidence time Optimization

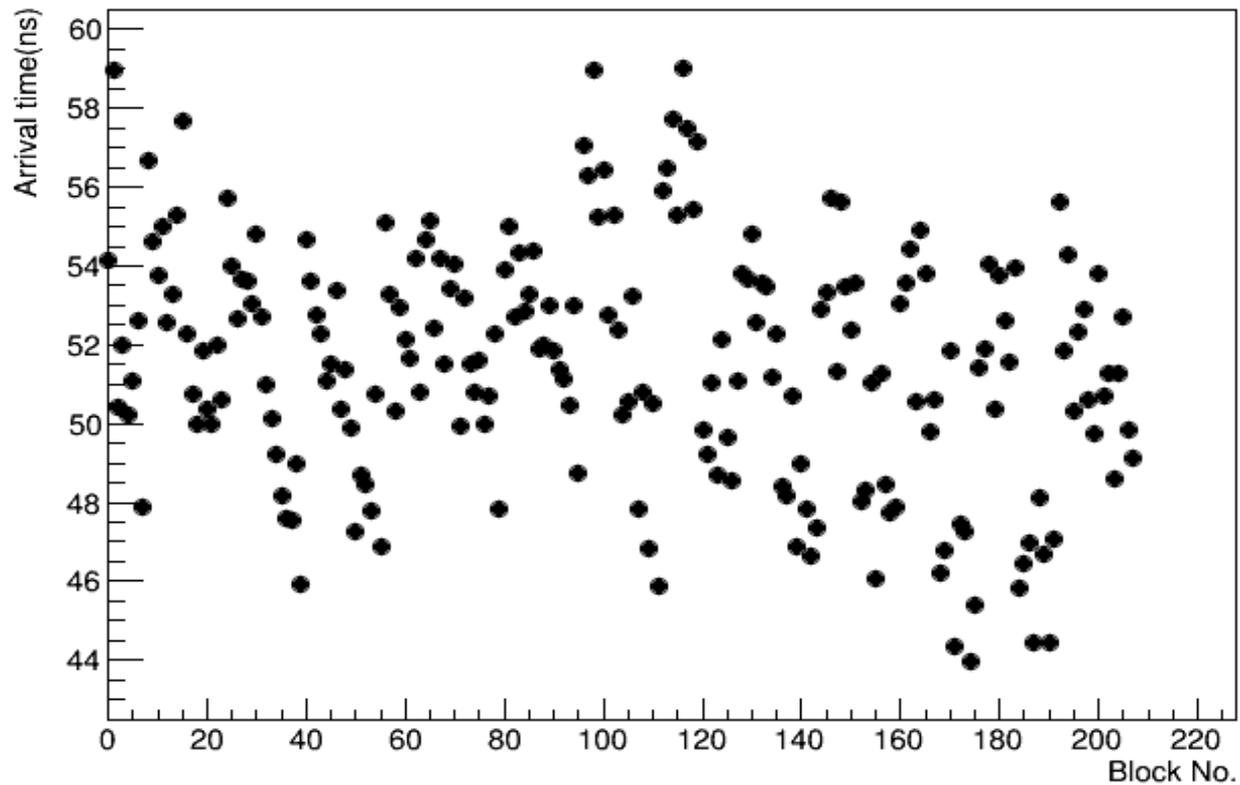
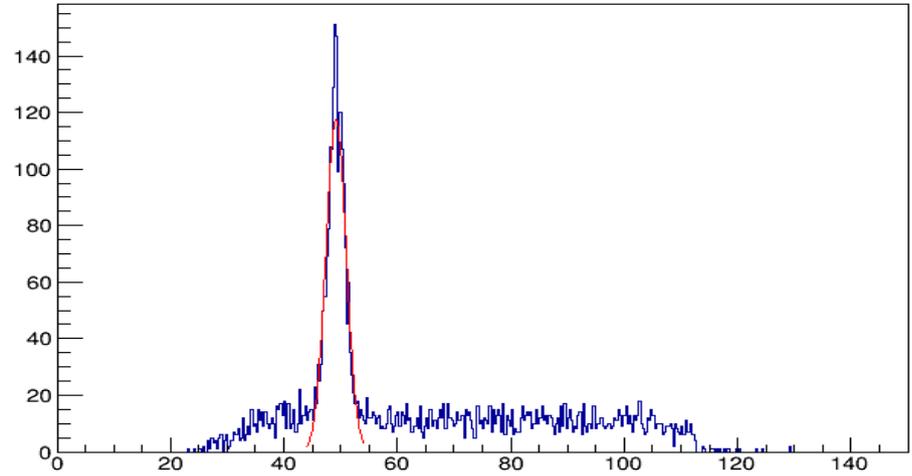
- The goal was to reduce the dispersion of the coincidence time For each calorimeter block to less than 1 ns standard deviation
- A narrow coincidence window will close out many accidentals and improve the energy resolution of the calorimeter
- Corrections were applied to consider different calorimeter block positions, cable lengths, electron and light propagation distances in HRS. These include:
 - Time per calorimeter block
 - ARS stop trigger jitter
 - S2m scintillator paddle centering
 - Light propagation in S2m scintillators
 - Electron path in HRS

Signal analysis: Coincidence time Optimization

Time per calorimeter block

Typical time distribution, block 121

Time Block 121



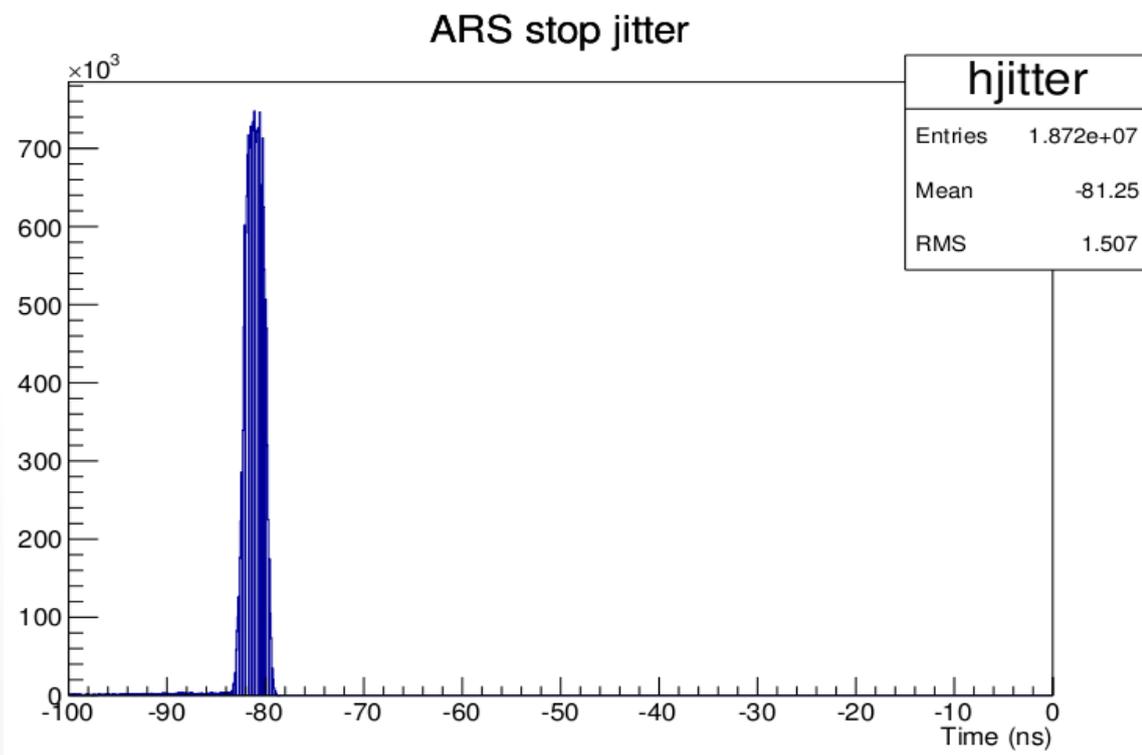
Signal analysis: Coincidence time Optimization

ARS stop trigger jitter

→ The ARS timing is not uniquely defined by the S2m arrival

→ correction for the time difference between the S2m and the ARS stop

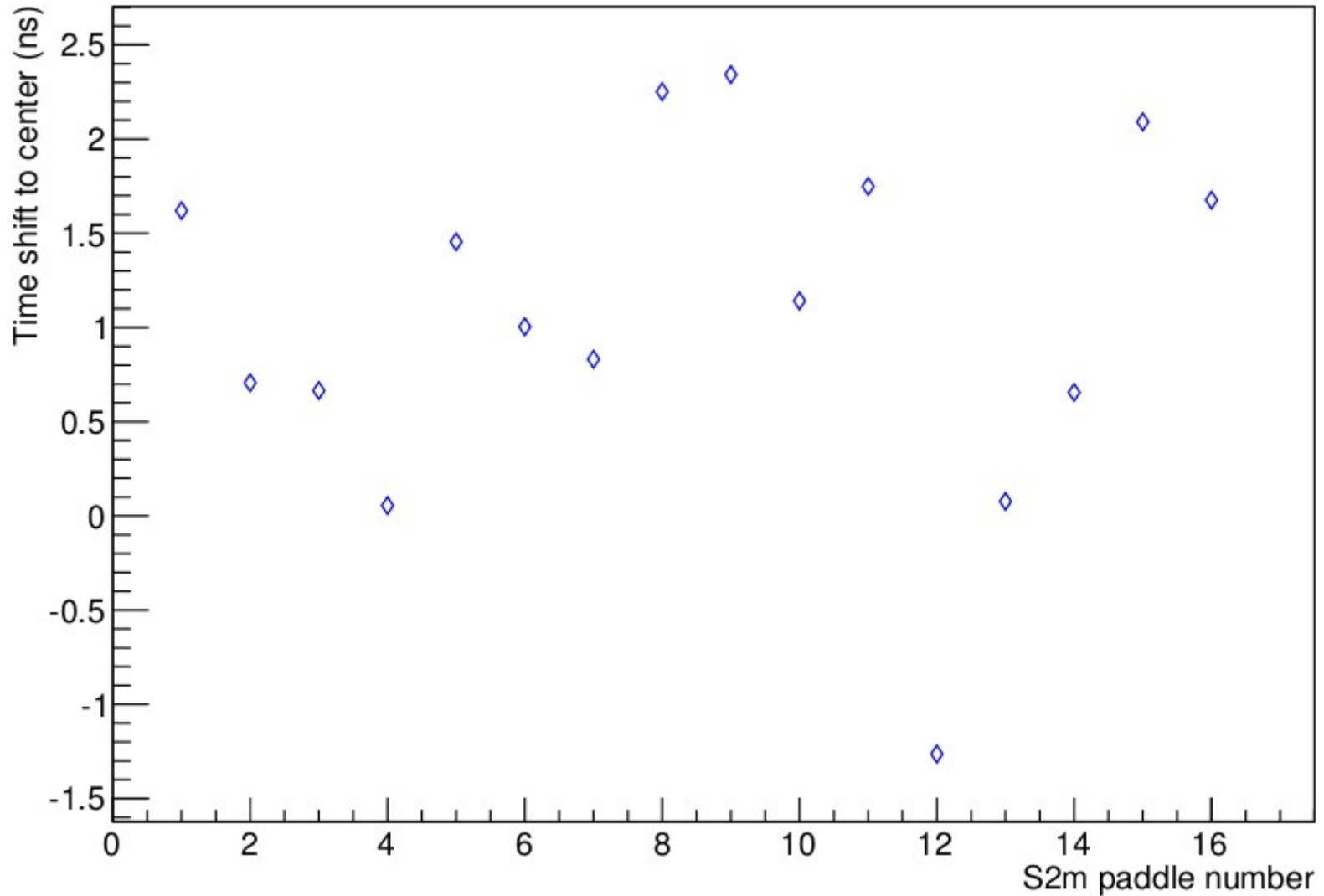
$$T_{\text{corr}} = t_{\text{av}} + \text{tdcval}[3] - \text{tdcval}[7]) / 10 \text{ (ns)}$$



Signal analysis: Coincidence time Optimization

S2m scintillator paddles centering

Time shift for centering paddles



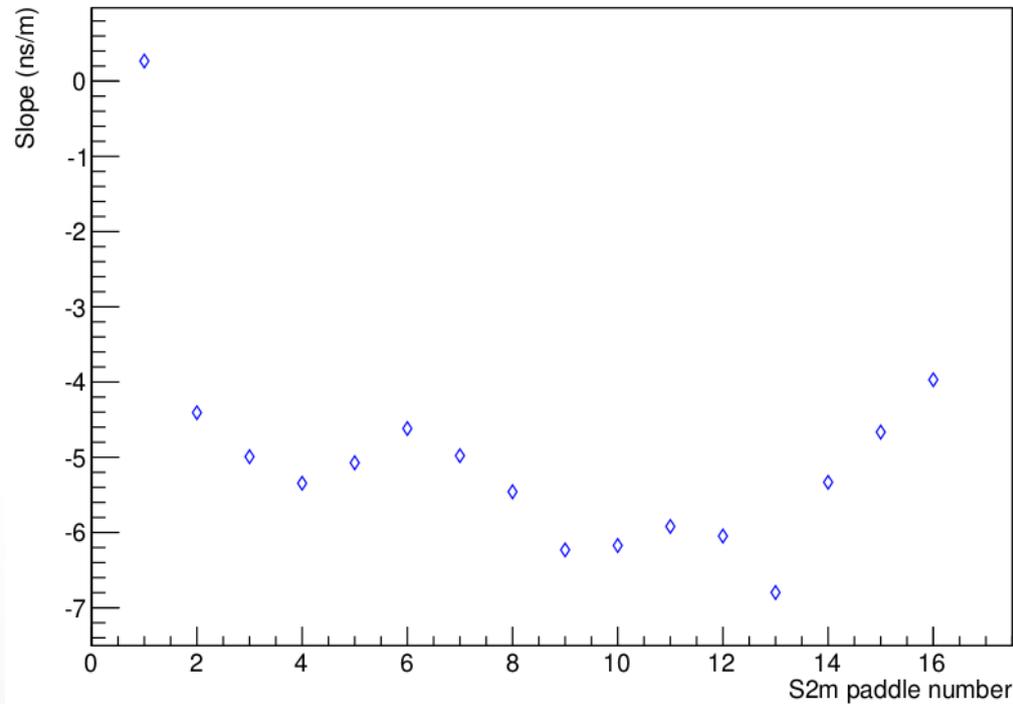
Signal analysis: Coincidence time Optimization

Light propagation in S2m

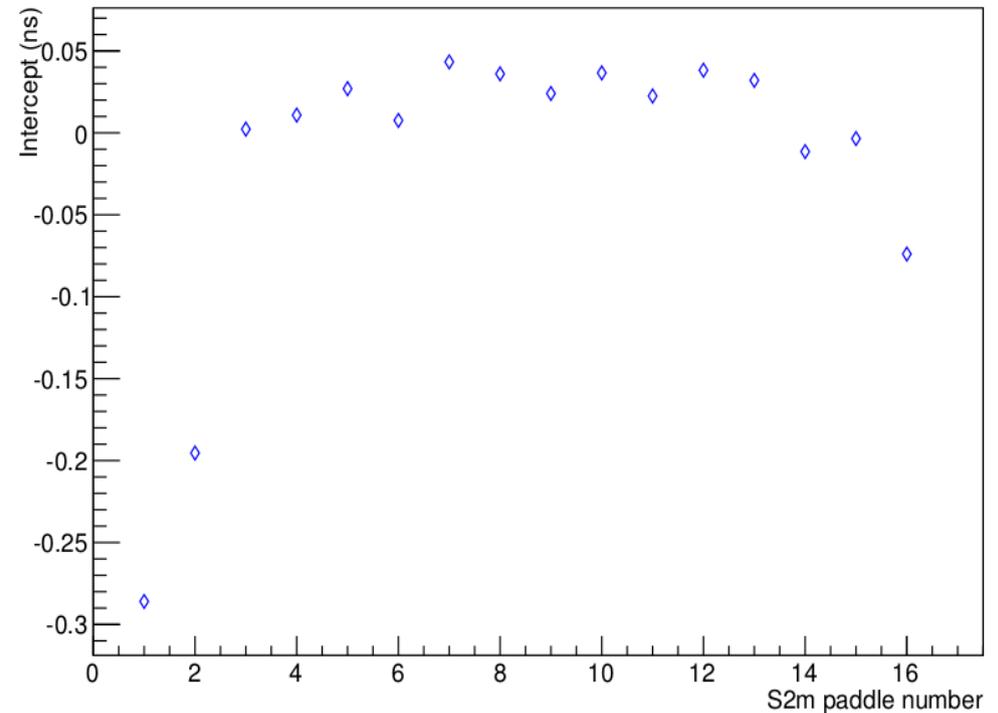
→ Based on a linear y position vs. time correlation:

$$T_{\text{corr}} = m \cdot y + c$$

Y position-calco time slopes



Y position-calco time intercepts



Signal analysis: Coincidence time Optimization

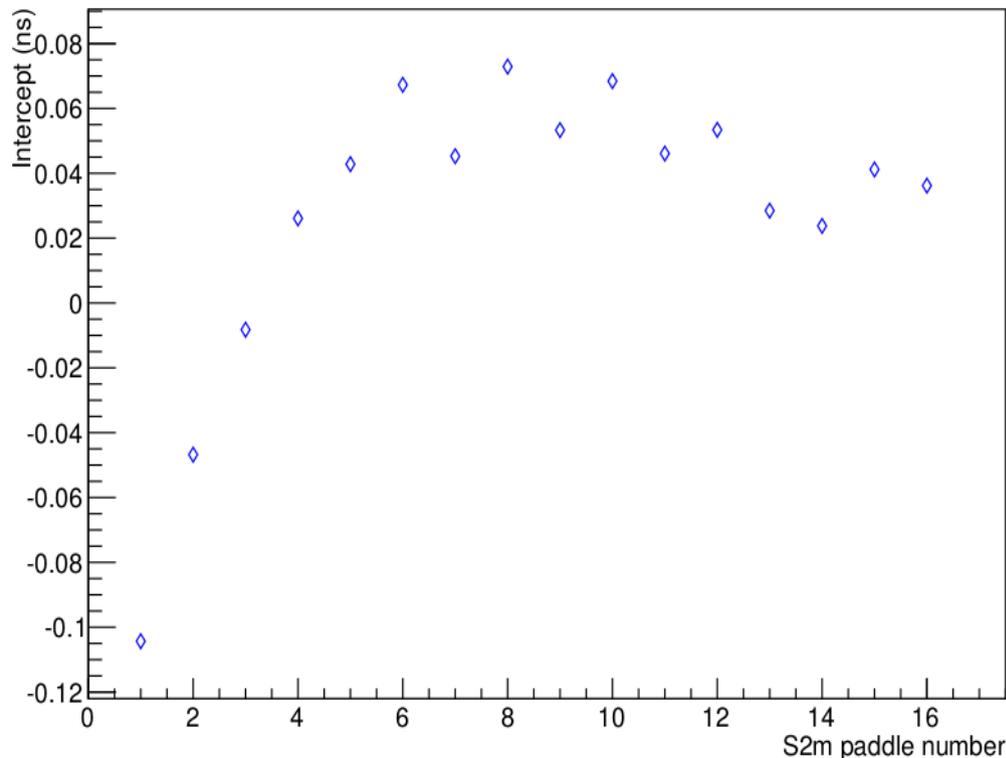
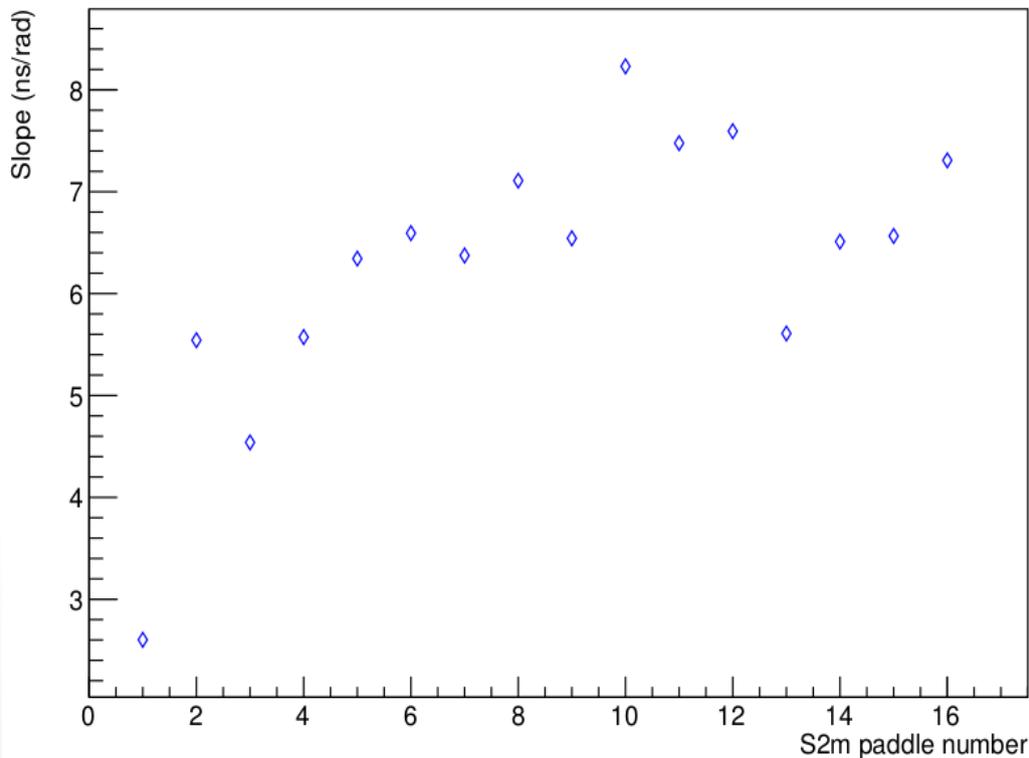
Electron path length in HRS

→ Based on a linear y position vs. time correlation:

$$T_{\text{corr}} = m \cdot \theta + c$$

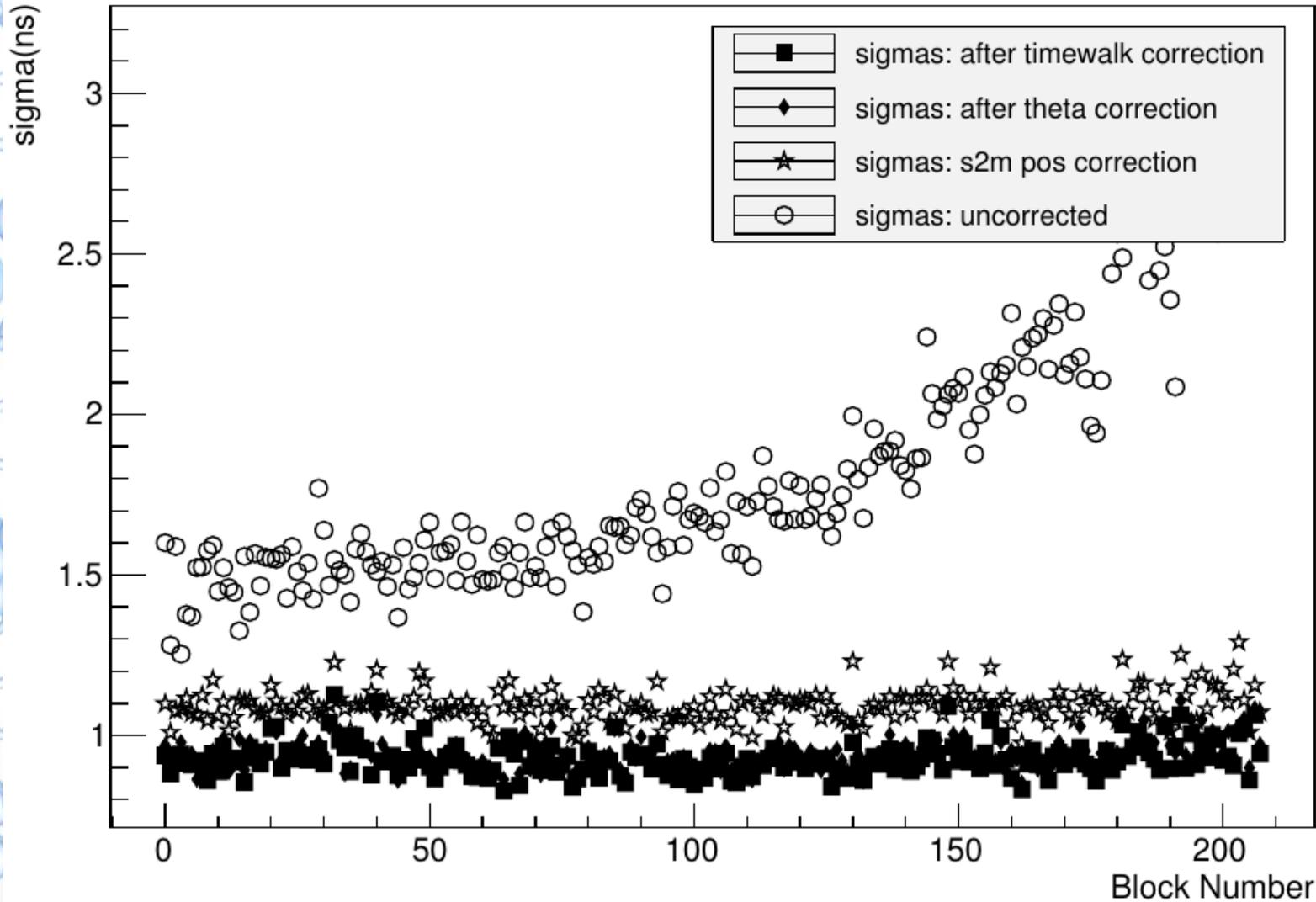
theta-calor time slopes

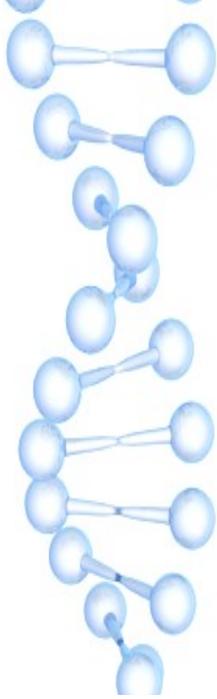
theta-calor time intercepts



Signal analysis: Coincidence time Optimization

Summary plot for dispersion per block

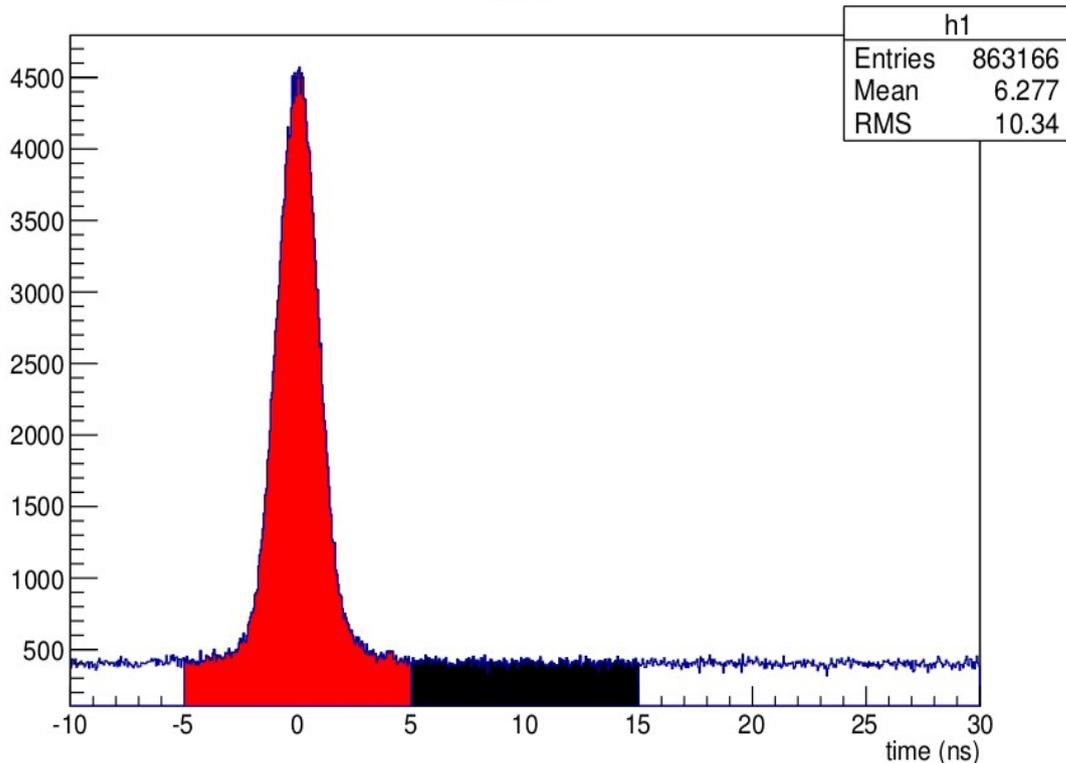




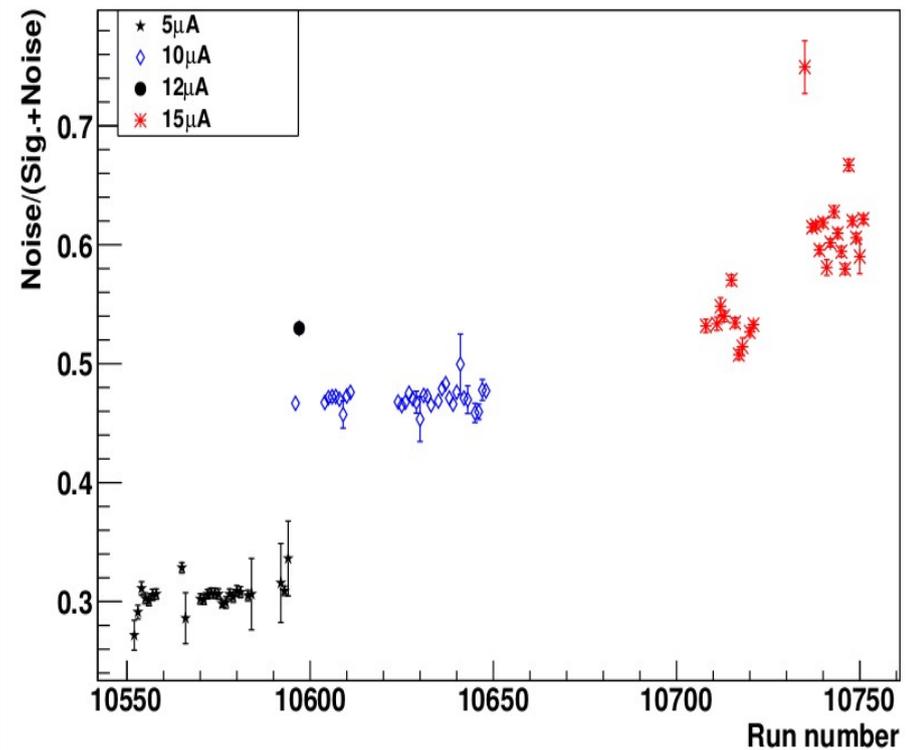
Signal analysis: Higher current and energy resolution

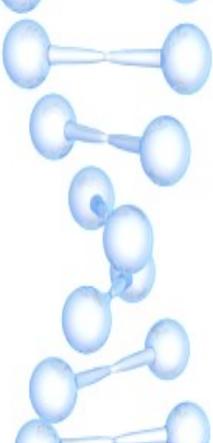
- Analysis to study the effect of increasing beam current on the Calorimeter resolution.
- in this analysis, we went beyond the standard 1 cluster and 1 pulse fitting to consider the possibility of pileup and increasing Significance of 2 clusters.
- A sample of the data was considered for this analysis

tcalo



Noise/(Sig.+Noise) ratio for DVCS3

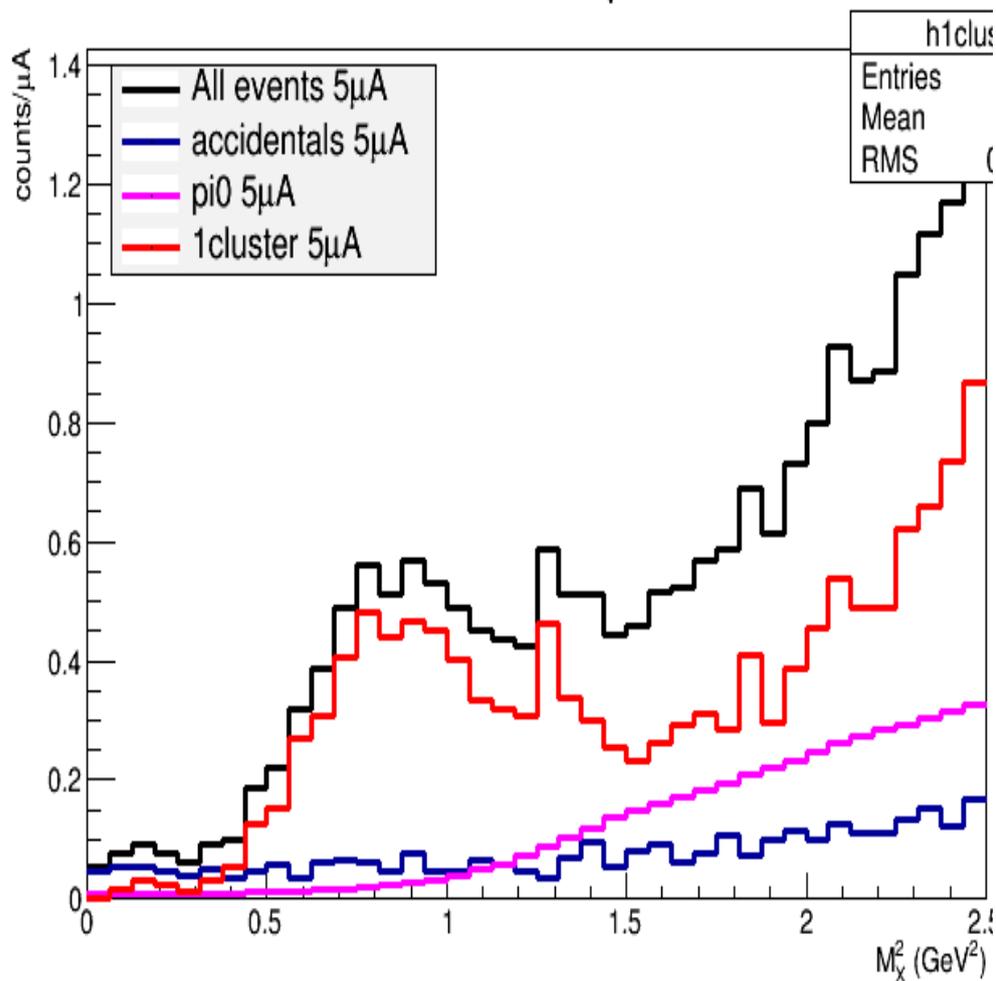




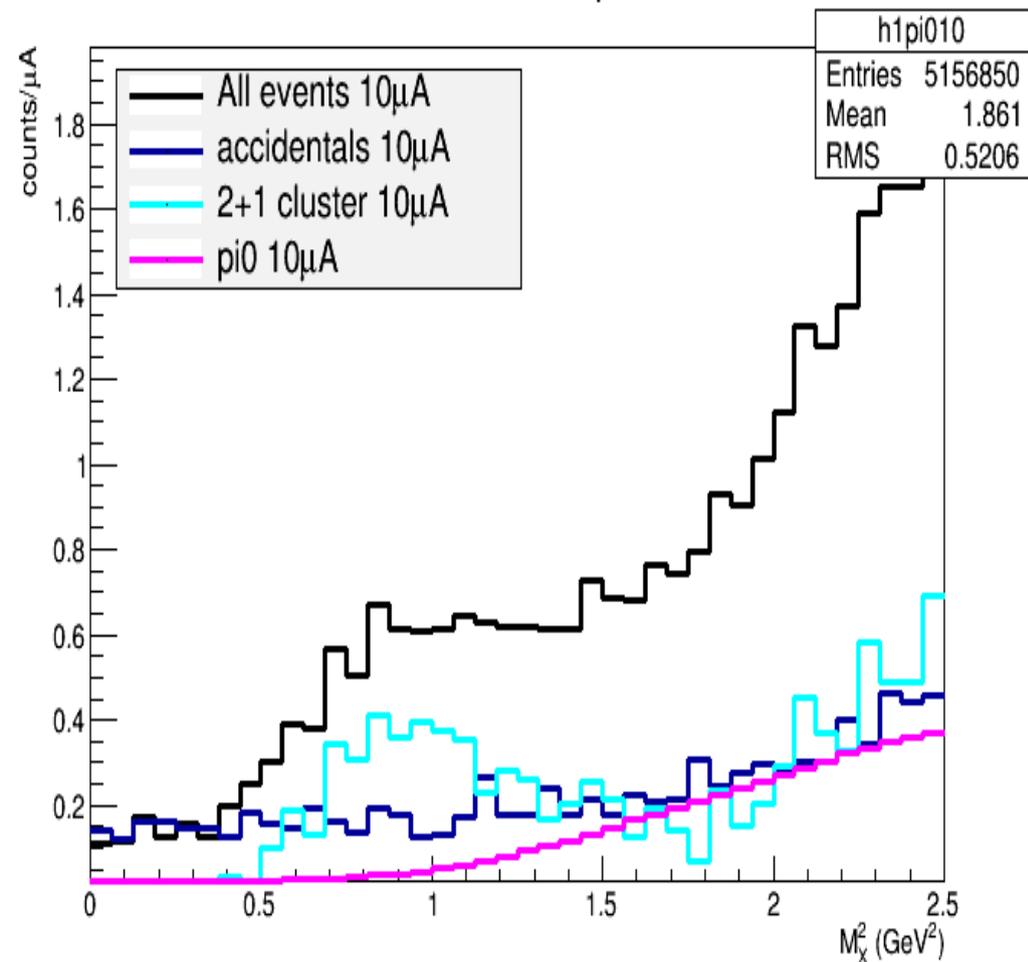
Signal analysis: Higher current and energy resolution

One to Two cluster analysis, Missing mass

All events 5 μ A



All events 10 μ A

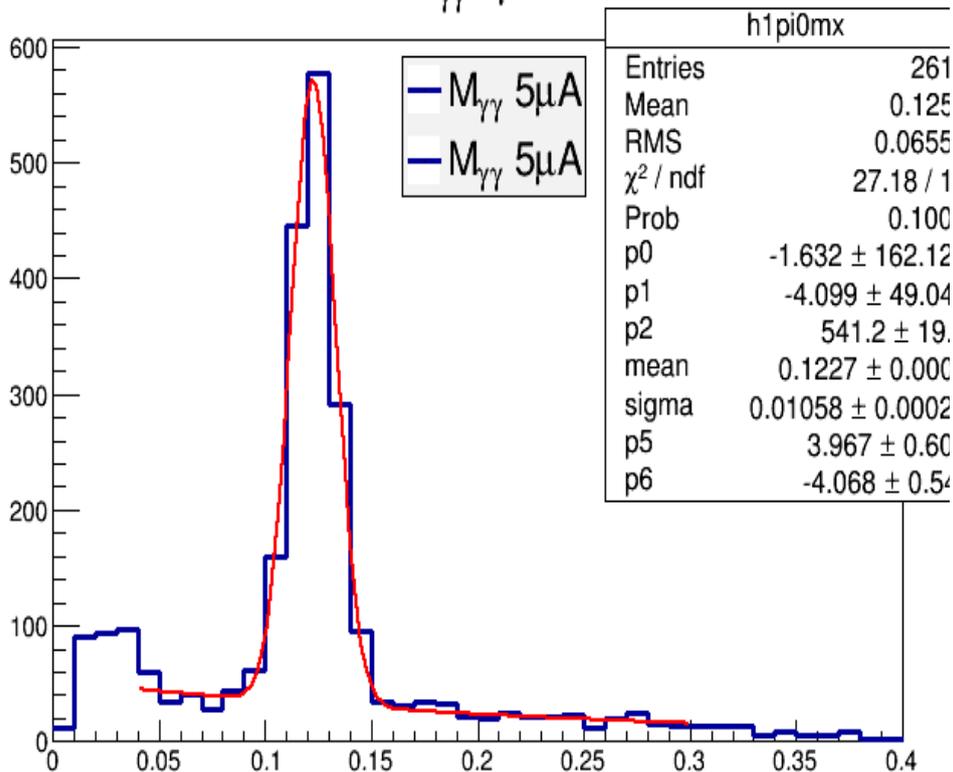




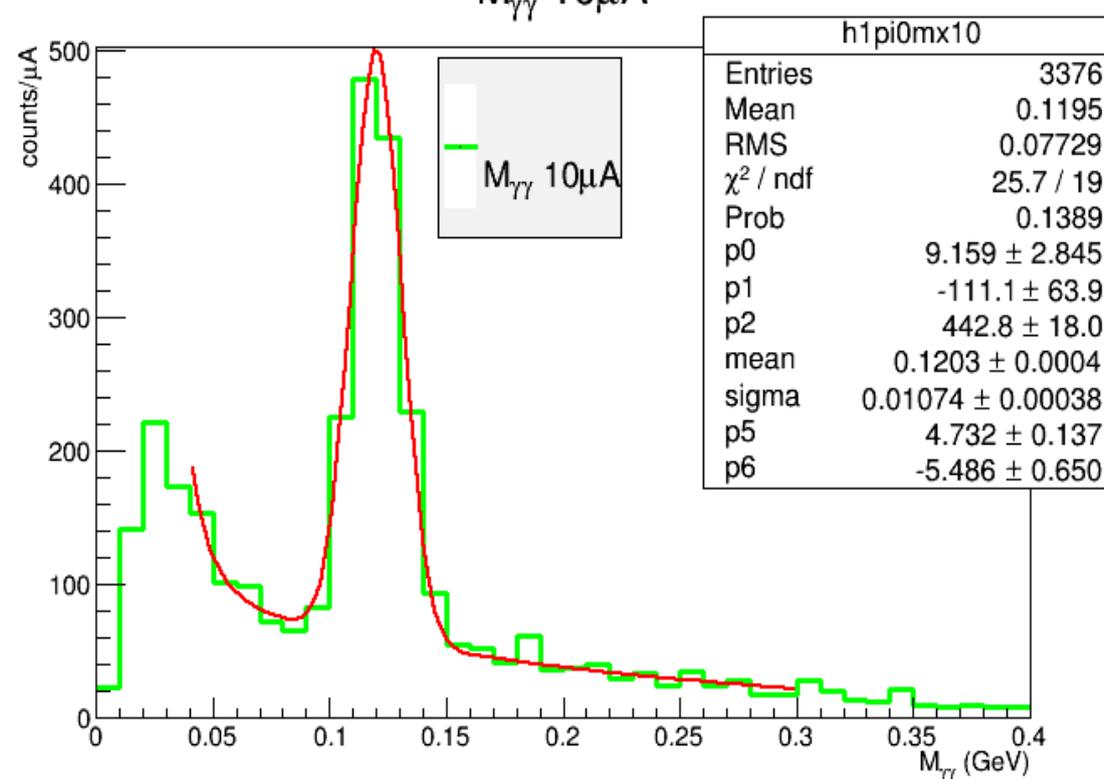
Signal analysis: Higher current and energy resolution

Two cluster analysis, pi0 invariant mass

$M_{\gamma\gamma}$ 5 μ A



$M_{\gamma\gamma}$ 10 μ A



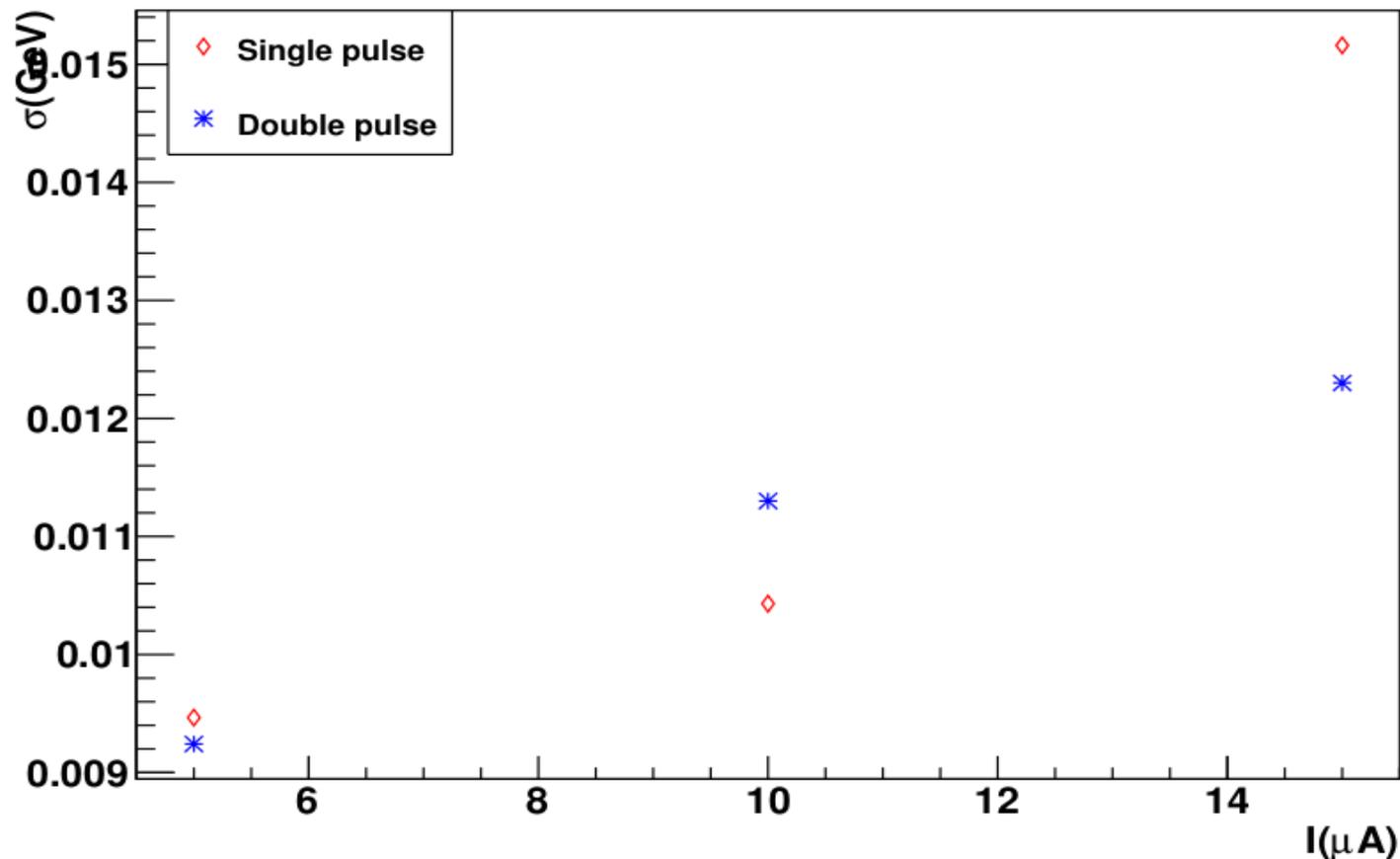
No big loss of resolution observed between 10 and 5 micro Amperes

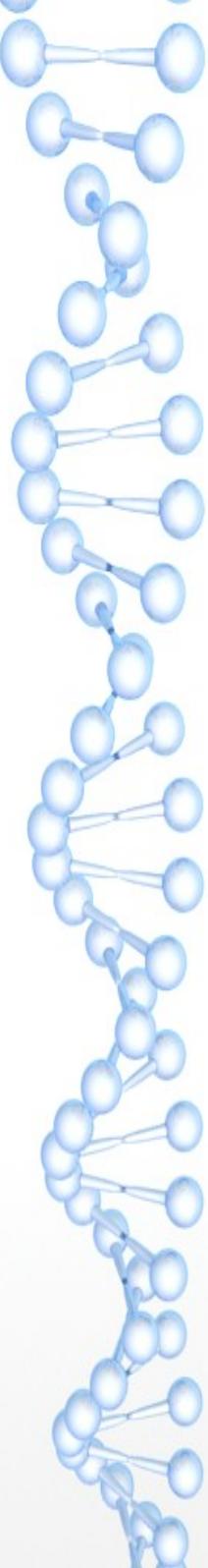


Signal analysis: Higher current and energy resolution

→ Summary plot for 1 pulse and 2 pulse analysis showing the resolution of the π^0 invariant mass distribution across all 3 beam currents

Dispersion for single and double pulse analysis





Conclusions:

- New reference shapes extracted and implemented
- Time corrections were done for one kinematic
- Elastic calibrations were analyzed
- Consideration about ADC calibration??
- Pileup studies conducted and growing pileup observed
At higher running current