

Impact of deuteron data on the transversity extraction

CLAS Collaboration meeting
October 2015

Aurore Courtoy

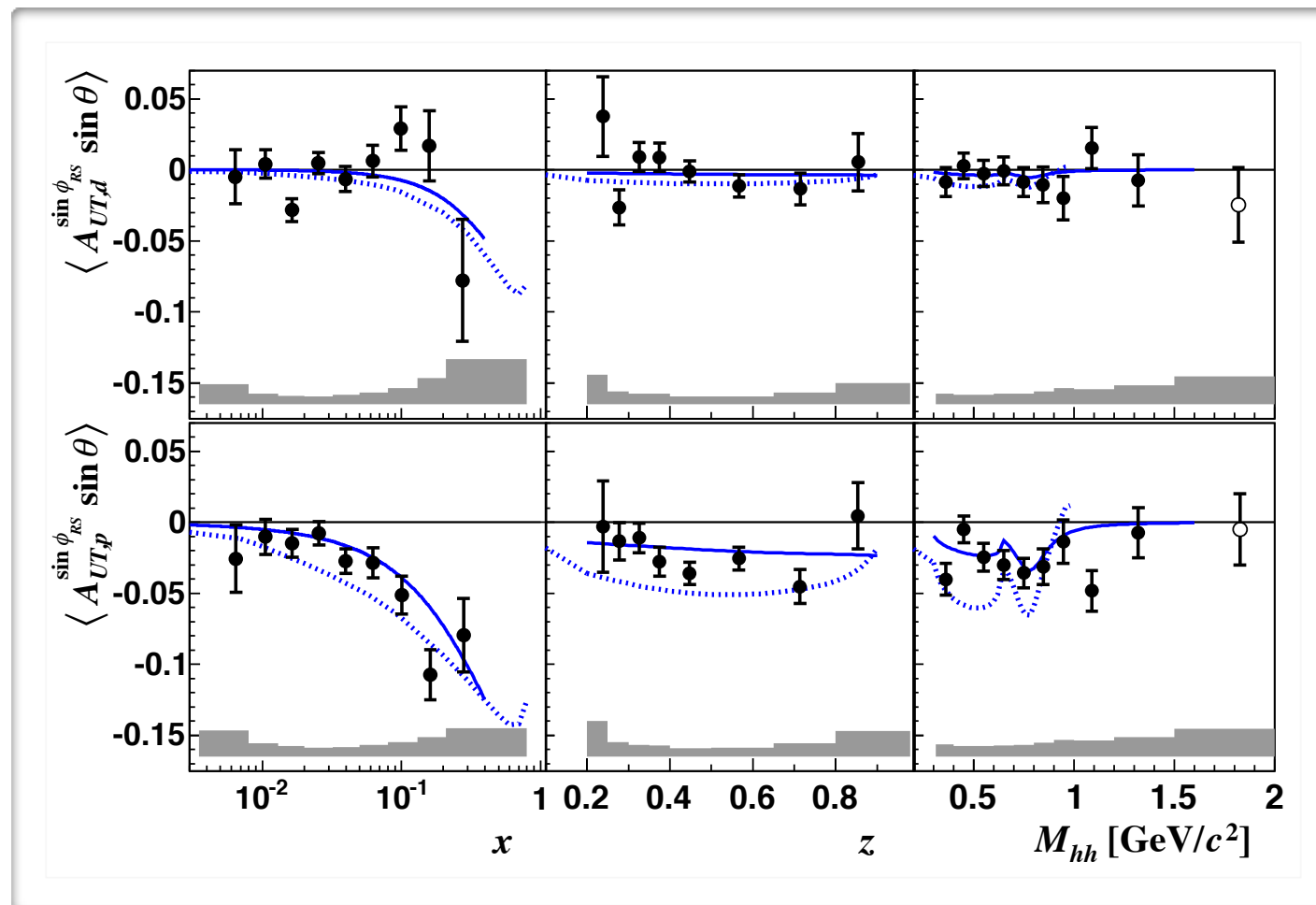
CINVESTAV
Catedra CONACyT (Mexico)



SIDIS production of pion pairs on both proton & deuteron @ COMPASS

2002-4 Deuteron Data

2007 Proton Data

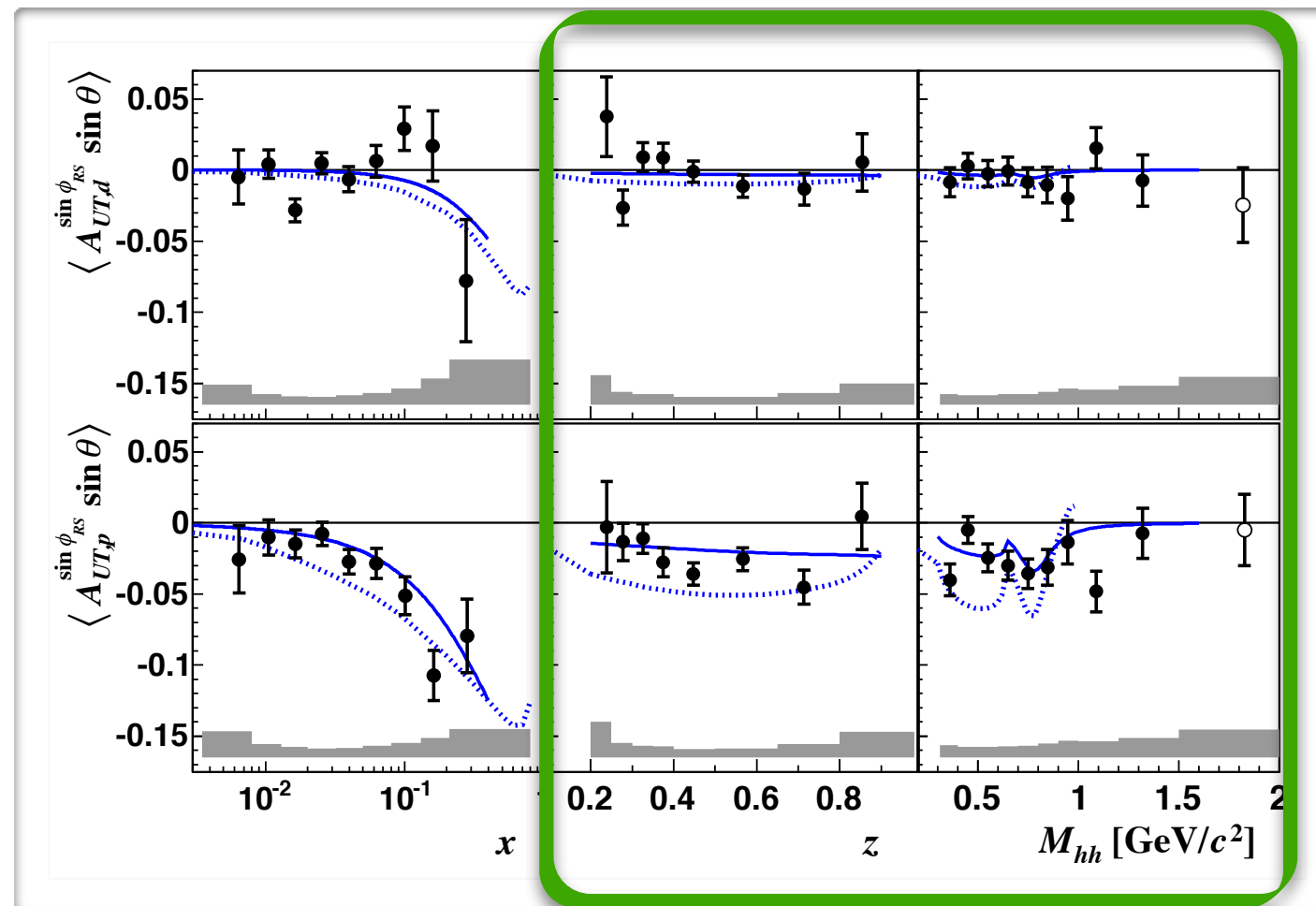


$$A_{\text{DIS}}(x, z, M_h^2, Q^2) = -C_y \frac{\sum_q e_q^2 h_1^q(x, Q^2) \frac{|\bar{R}|}{M_h} H_{1,sp}^{q \rightarrow \pi^+ \pi^-}(z, M_h^2, Q^2)}{\sum_q e_q^2 f_1^q(x, Q^2) D_1^{q \rightarrow \pi^+ \pi^-}(z, M_h^2, Q^2)}$$

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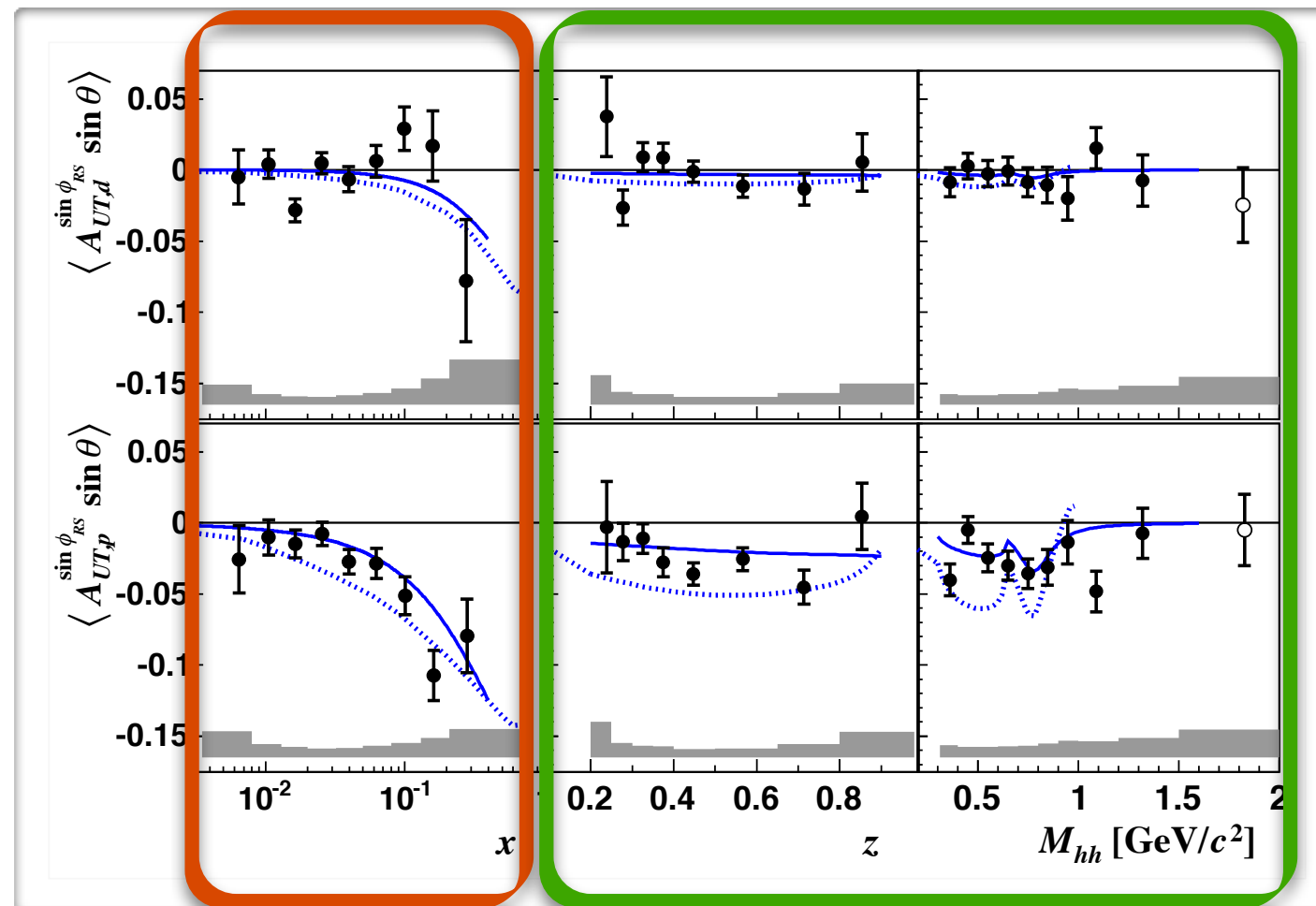
(z, M_h)-dependence determined
by DiFF from Belle
[A.C., Bacchetta, Radici, Bianconi, Phys.Rev. D85]

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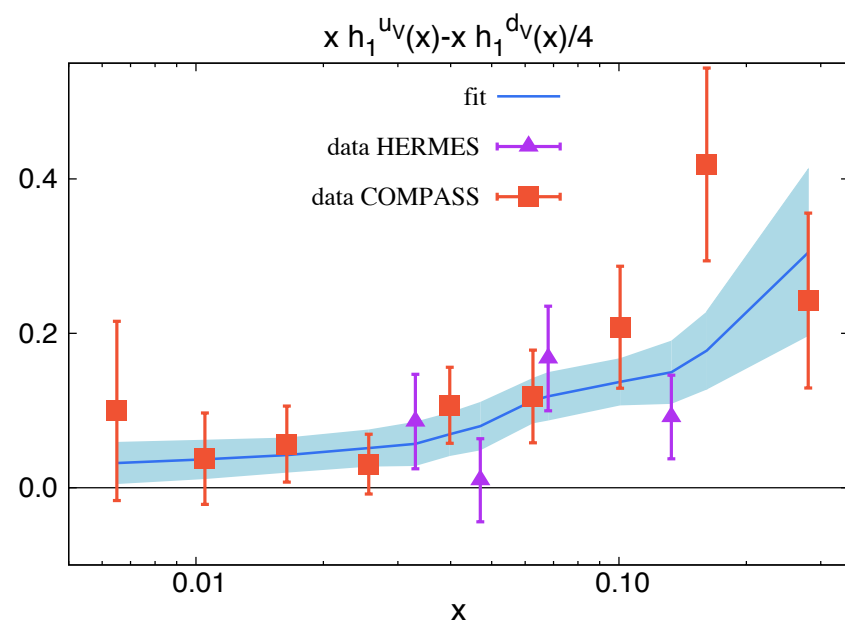
x-dependence only from
Transversity

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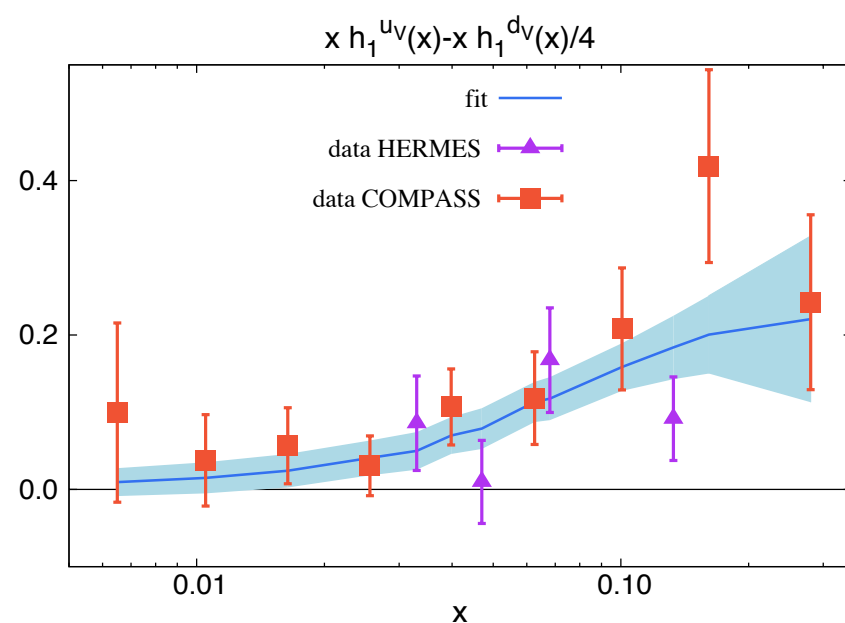
Comparison with extraction

[A.C., Bacchetta, Radici, JHEP 2013 & 2015]

PROTON

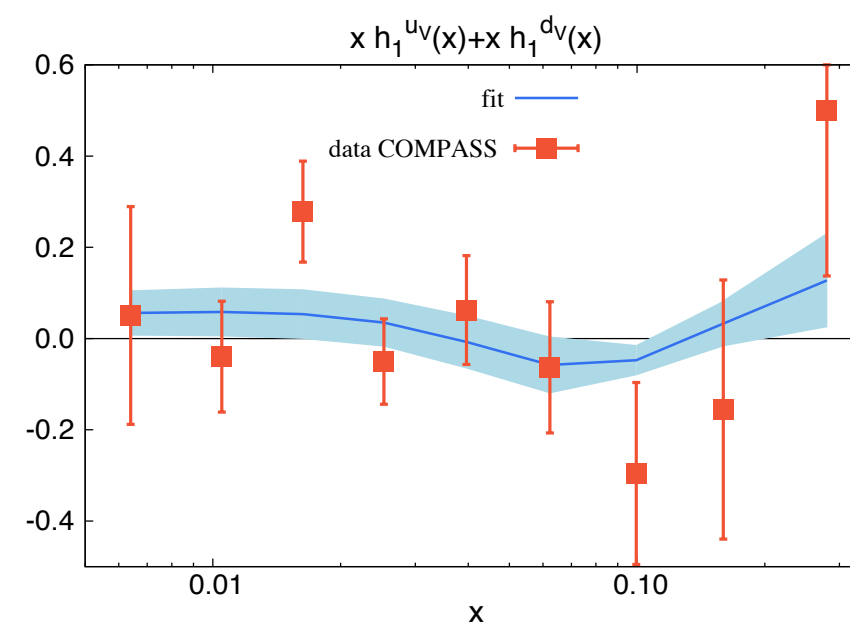
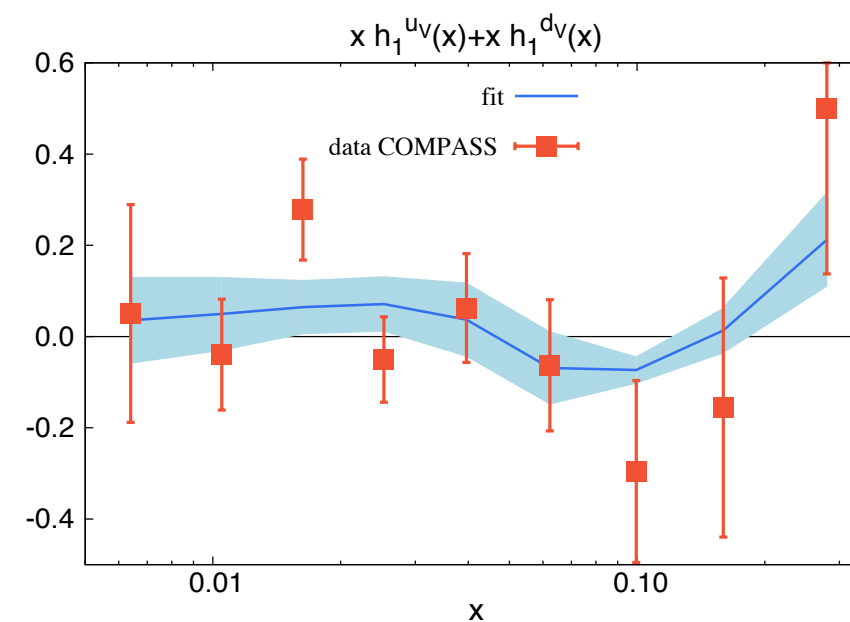


flexible functional form



rigid functional form

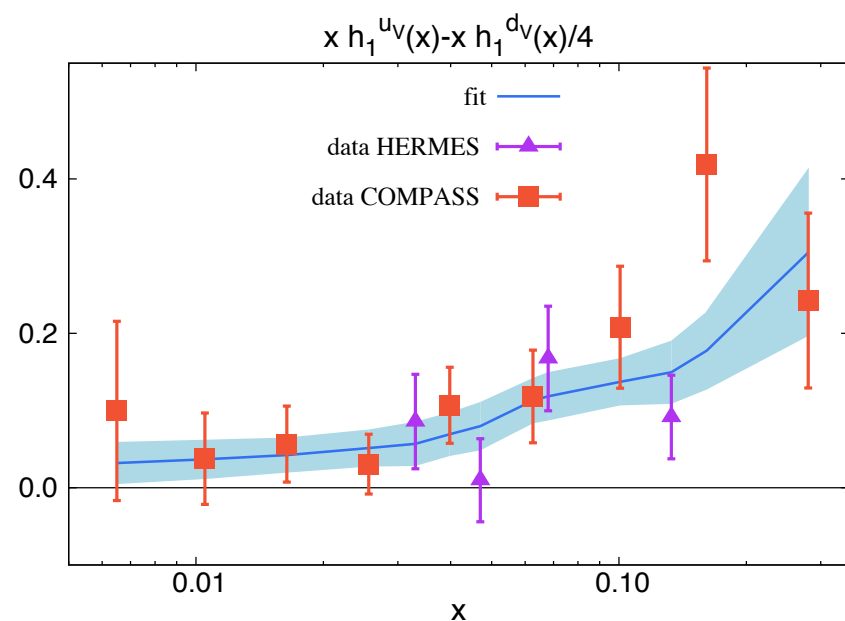
DEUTERON



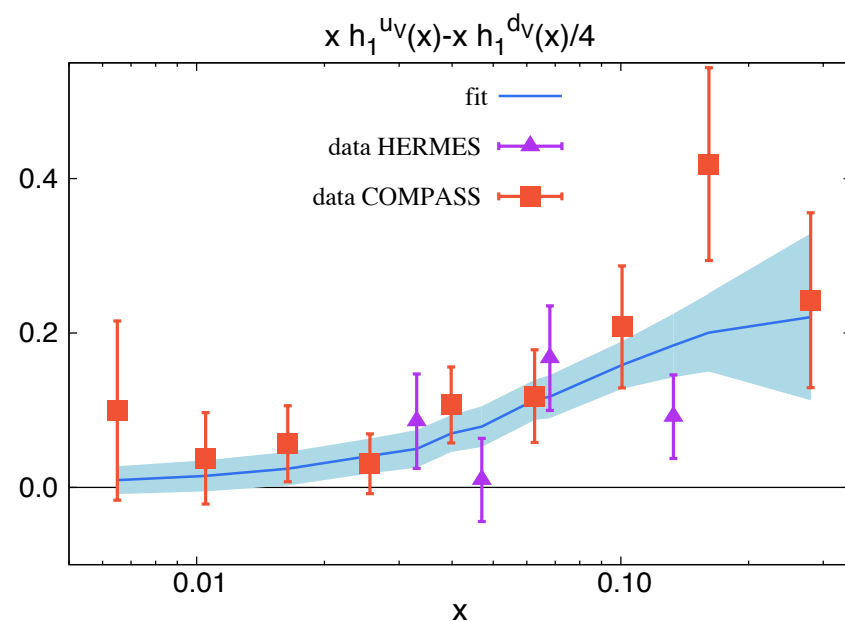
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PROTON

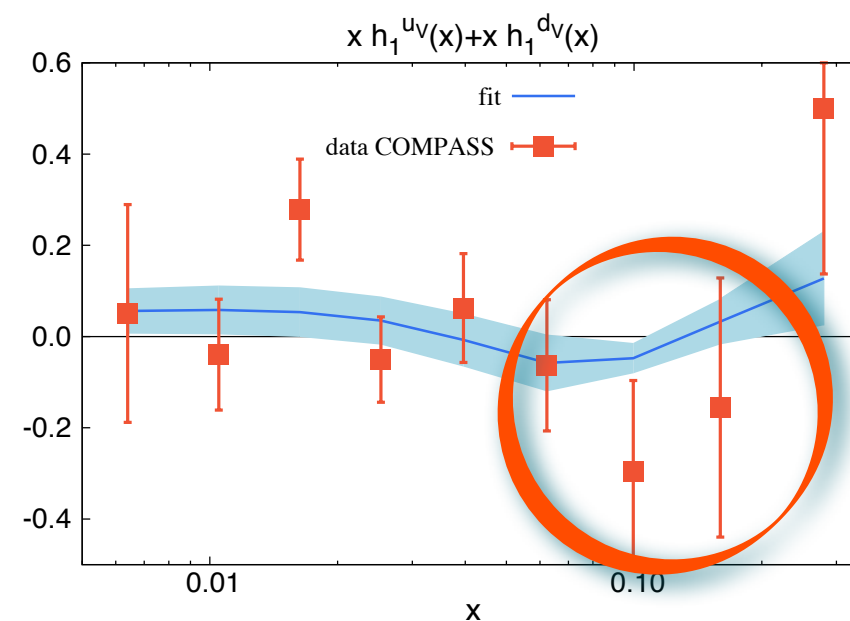
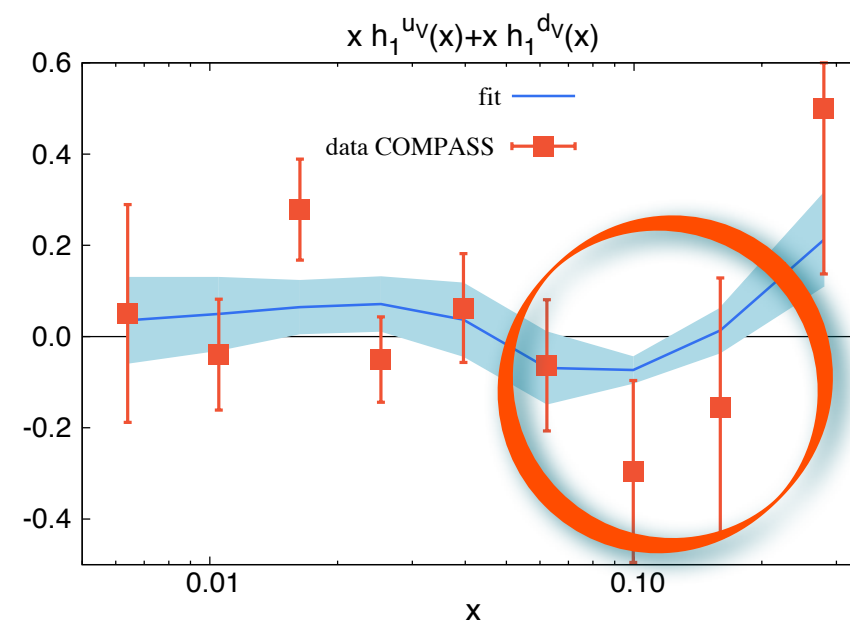


flexible functional form



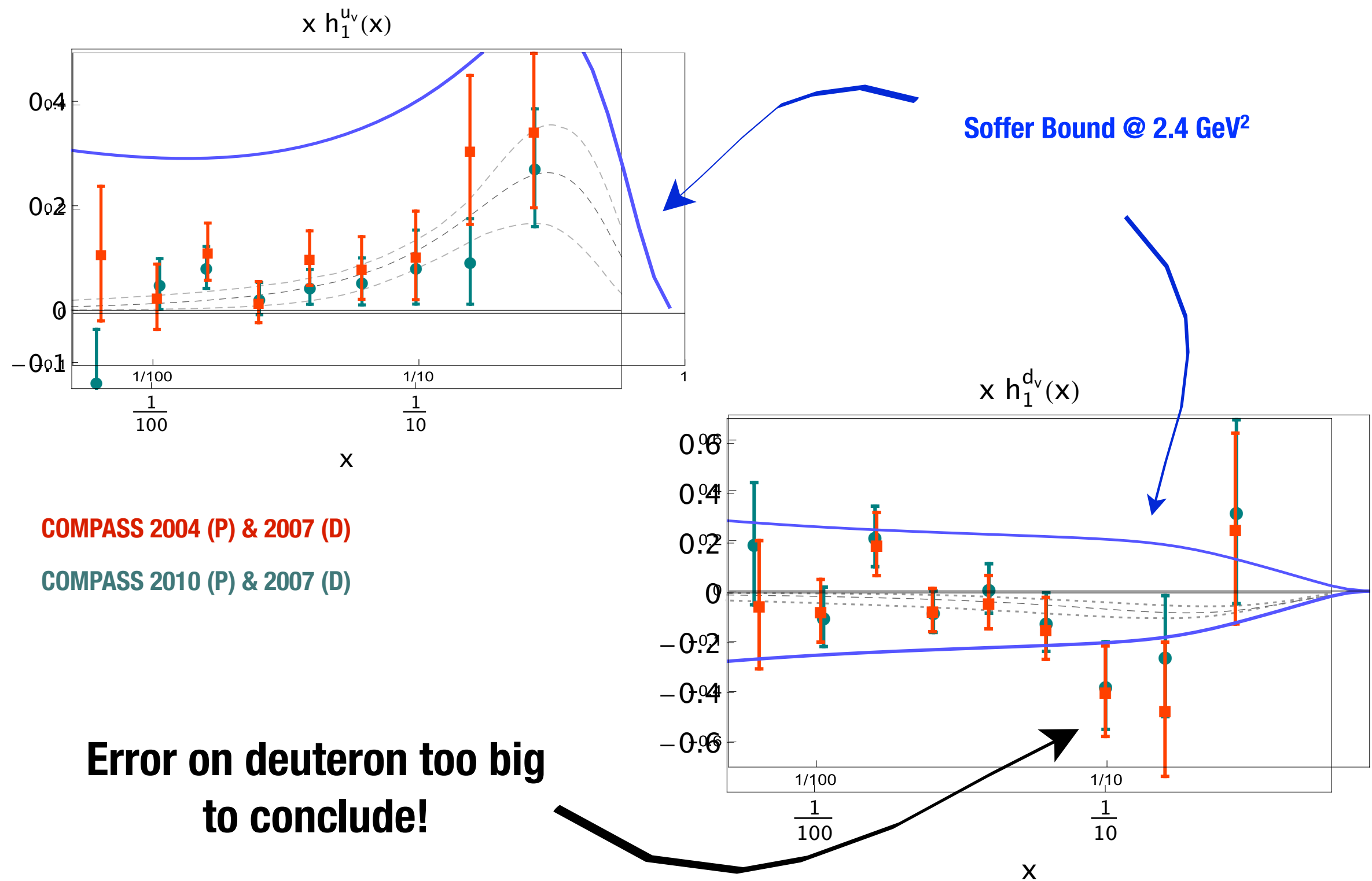
rigid functional form

DEUTERON



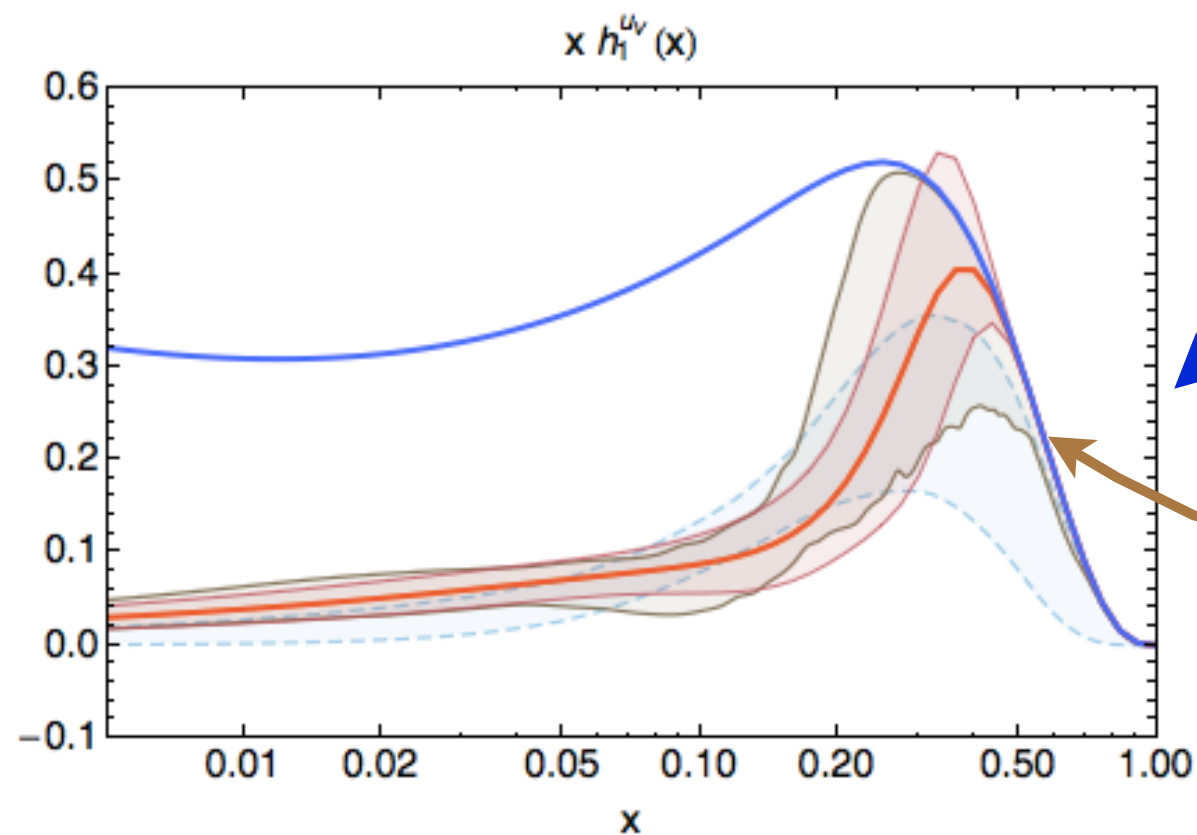
Off the record: COMPASS data on Proton 2010

2nd order polynomial

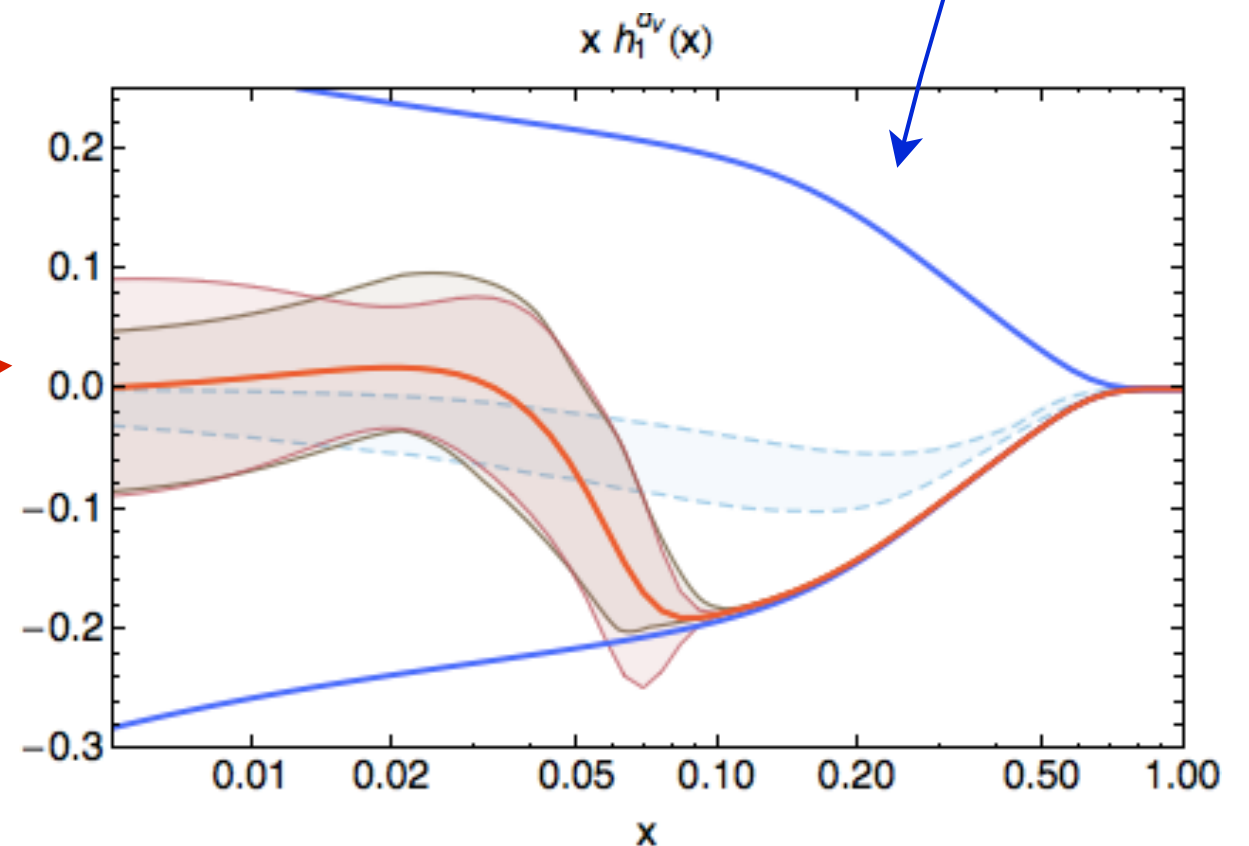


The Error Analysis: *the Monte Carlo approach*

2nd order polynomial



**Best fit central curve @2.4 GeV²
and standard 1 σ error band**



Monte Carlo Approach:

some illustrations

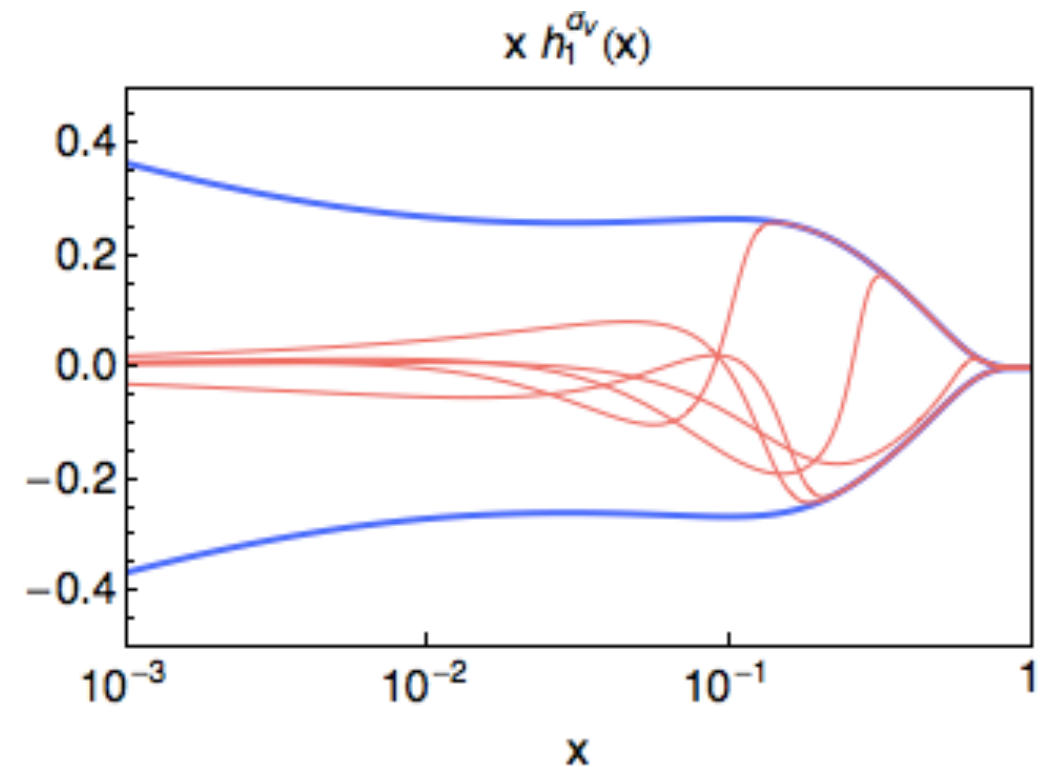
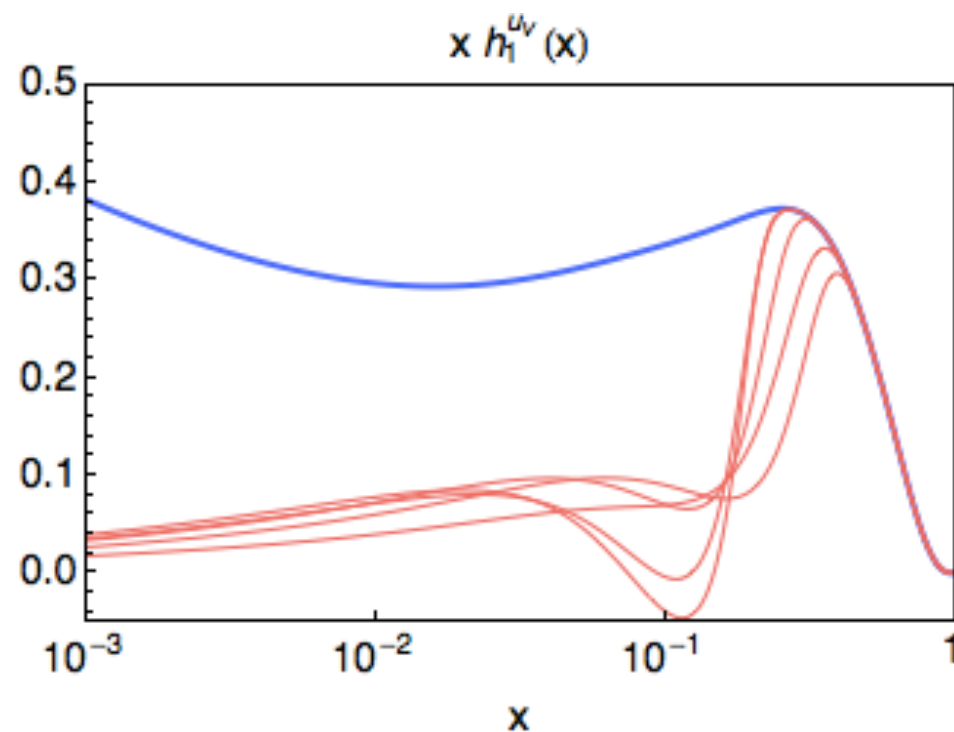
Can we find “unforeseen” replica?

Monte Carlo Approach:

some illustrations

Can we find “unforeseen” replica?

Yes, here at 1GeV^2



χ^2/dof

1.56557
1.42199
1.79911
2.07397
1.75523

Back-up slides

Transversity from $A_{UT} \sin(\Phi_R + \Phi_S) \sin\theta$

$$A_{\text{DIS}}(x, Q^2) = -C_y \frac{\sum_q e_q^2 h_1^q(x, Q^2) n_q^\uparrow(Q^2)}{\sum_q e_q^2 f_1^q(x, Q^2) n_q(Q^2)}$$

Using symmetries for DiFFs:

$$H_1^{\triangleleft, u} = -H_1^{\triangleleft, d} = -\overline{H}_1^{\triangleleft, u} = \overline{H}_1^{\triangleleft, d}$$

$$\begin{aligned} D_1^u &= D_1^d = \overline{D}_1^u = \overline{D}_1^d, \\ D_1^s &= \overline{D}_1^s, \quad D_1^c = \overline{D}_1^c \end{aligned}$$

Proton

$$xh_1^{uv}(x, Q^2) - \frac{1}{4} xh_1^{dv}(x, Q^2) \propto -A_{\text{DIS}}(x, Q^2) \frac{n_u(Q^2)}{n_u^\uparrow(Q^2)} \sum_{q=u,d,s} \frac{e_q^2}{e_u^2} x f_1^{q+\bar{q}}(x, Q^2)$$

Deuteron

$$xh_1^{uv}(x, Q^2) + xh_1^{dv}(x, Q^2) \propto \frac{5}{3} A_{\text{DIS}}(x, Q^2) \frac{n_u(Q^2)}{n_u^\uparrow(Q^2)} x \left(f_1^{u+\bar{u}} + f_1^{d+\bar{d}} + \frac{2}{5} f_1^{s+\bar{s}} \right)$$

and combinations of both ...

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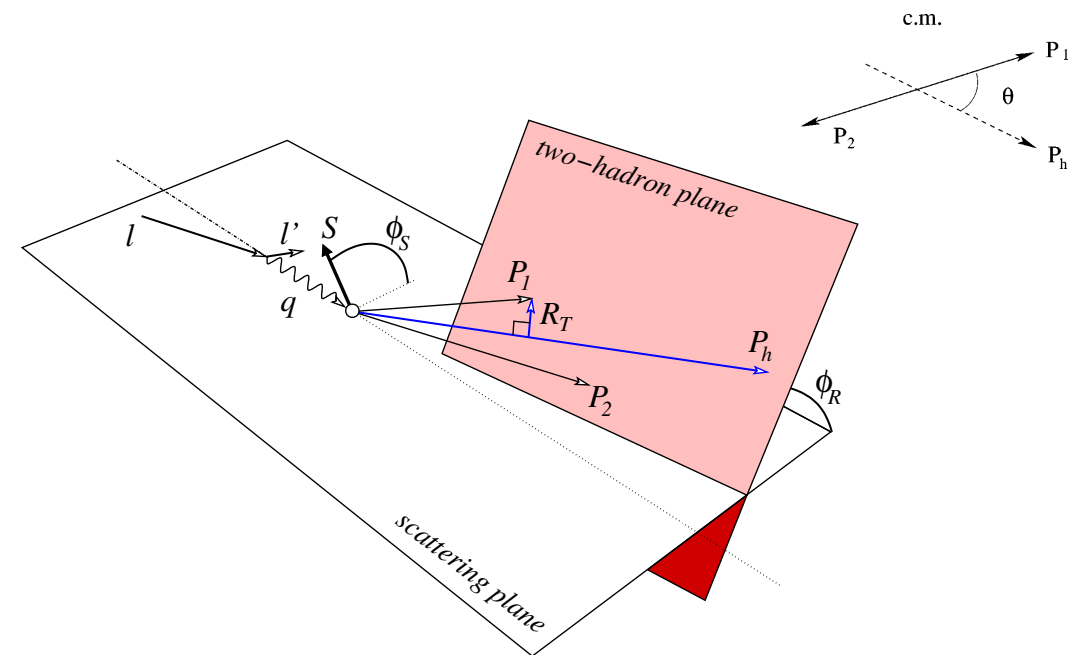
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SIDIS production of pion pairs

Chiral-odd DiFF:

Distribution of hadrons inside the jet
is related to the

Direction of the transverse polarization of the fragmenting quarks



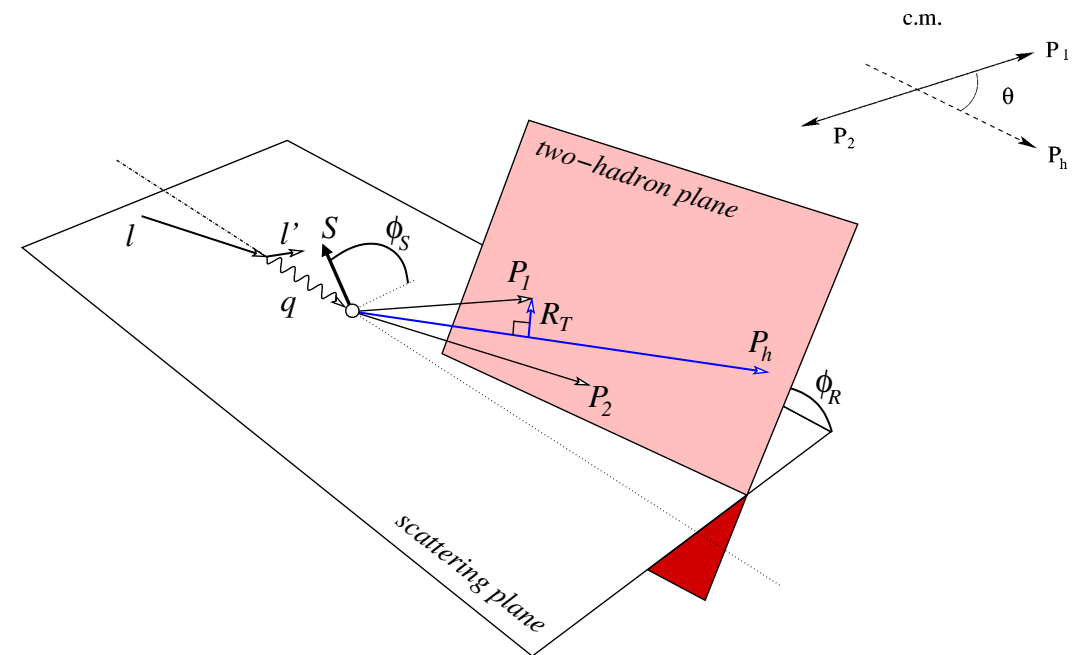
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Knowledge on DiFFs leads to $h_1(x, Q^2)$

