

Coherent Deeply Virtual Compton Scattering off deuterium with CLAS12 at Jefferson Lab

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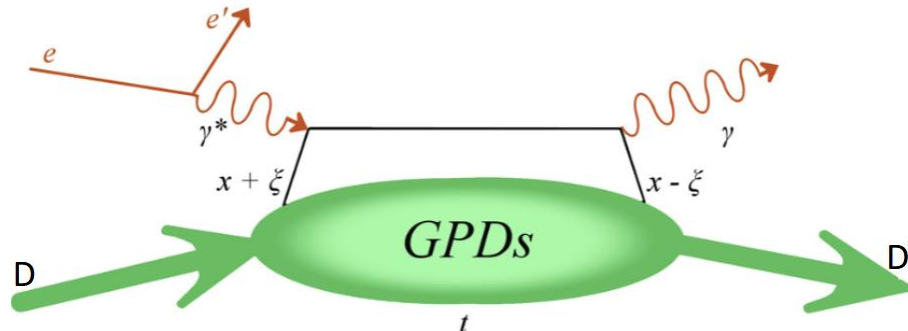
06/30/2026 at CLAS collaboration meeting



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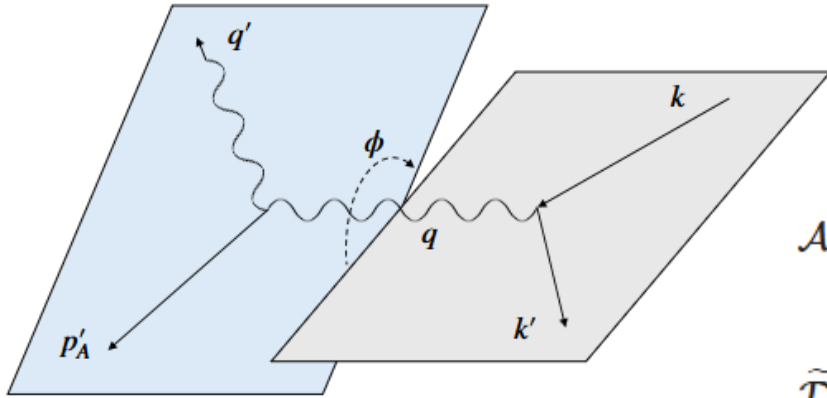
Motivations

- Generalised Parton Distribution of the deuteron (GPDs)
 - Informations about the partons' position and momentum in the deuteron
 - 9 GPDs expected for the deuteron (only 4 in protons)
- GPDs can be studied in Deeply Virtual Compton Scattering (DVCS)
- Physics observable : Beam Spin Asymmetry (BSA)
- Final state : $e^- + d \rightarrow e^- + d + \gamma$
- This analysis follows up on the studies carried out by Angela Biselli and her students



DVCS and GPD's

- We work with polarized beam and unpolarized target to extract BSA
- BSA in coherent DVCS of the deuteron is sensitive to 3 of the 9 GPD's
- BSA is measured as a function of the ϕ angle between the leptonic and hadronic plane



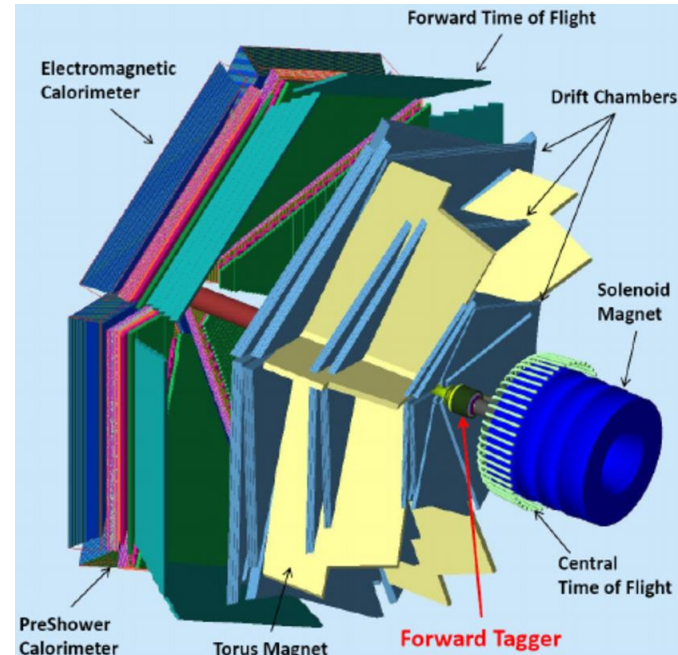
$$A_{LU}(\phi) = \frac{1}{P} \frac{N^+ - N^-}{N^+ + N^-}$$

$$\mathcal{A}_{LU}^I(\phi) \simeq -\frac{x_D(2-y)\sqrt{\frac{-t}{Q^2}(1-y)}}{2-2y+y^2} \Im \tilde{\mathcal{D}}_U^{1,1} \sin \phi$$

$$\tilde{\mathcal{D}}_U^{1,1} \equiv \frac{3G_1 \mathcal{H}_1 - 2\tau[G_1 \mathcal{H}_3 + G_3(\mathcal{H}_1 - \frac{1}{3}\mathcal{H}_5)] + 4\tau^2 G_3 \mathcal{H}_3}{3G_1^2 - 4\tau G_1 G_3 + 4\tau^2 G_3^2}$$

CLAS12 data

- Data used :
 - RGB data from spring 2019 and spring 2020
 - Pass2 data
 - 10.2, 10.4 and 10.6 GeV data with torus magnet inbending
 - 85% polarized beam
- Configuration
 - CLAS12 + Forward Tagger (FT)



Analysis overview

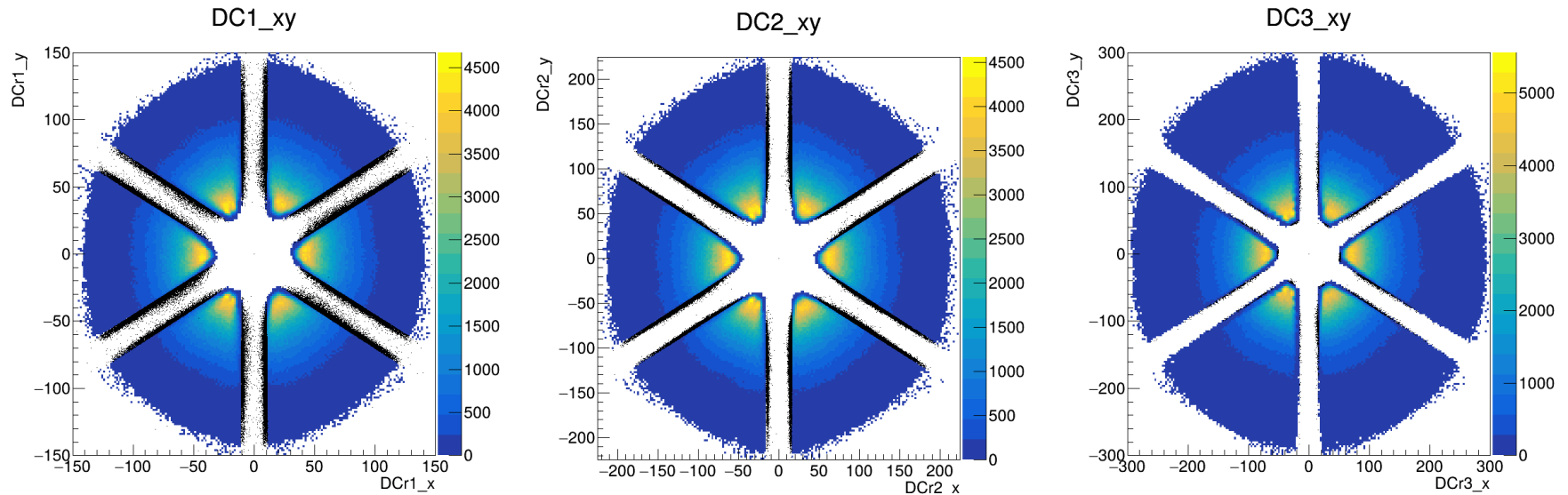
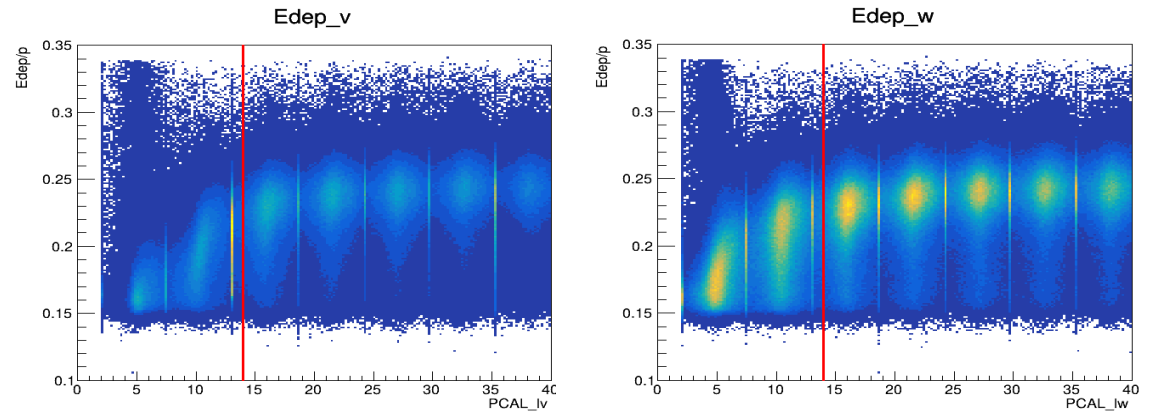
- Particle identification using CLAS12 PID, plus additional PID and fiducial cuts
- Construct all possible combination of final state particles and select the one yielding exclusivity variables closer to the nominal DVCS ones:

$$e^- + d \rightarrow e^- + d + \gamma$$

- Channel identification cuts on using exclusivity variables informed by Monte-Carlo simulations
- π^0 background subtraction
- Extraction of the asymmetry

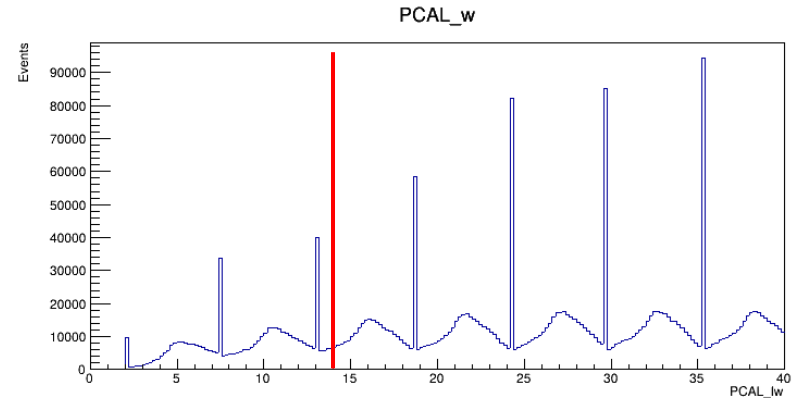
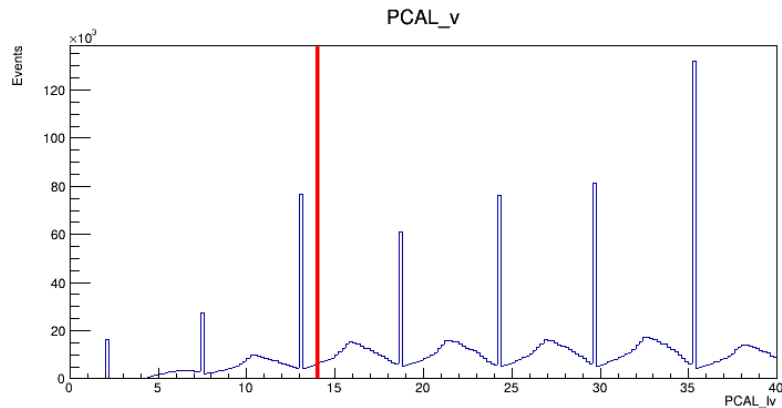
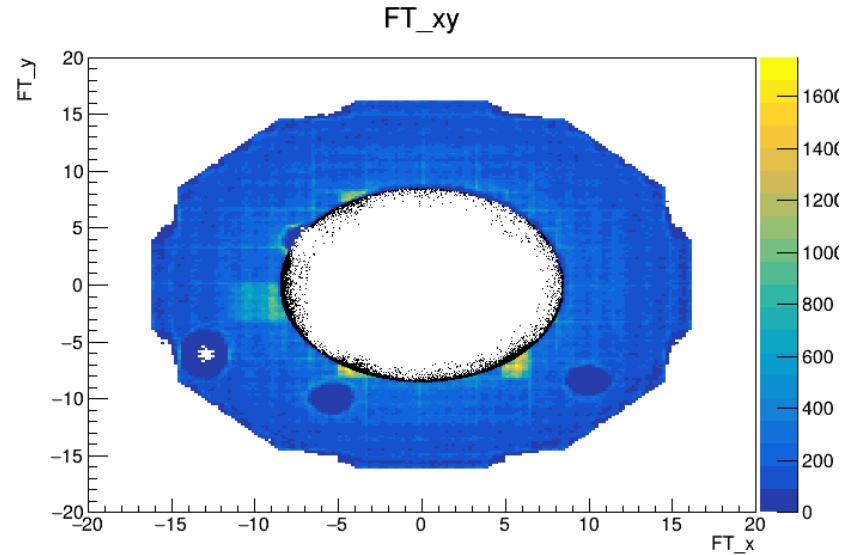
Electron identification

- PID = 11
- PCAL : v and w > 14cm
- DC : edge > 6cm



Photon identification

- PID = 22
- In FD : PCAL v and w > 14cm
- In FT : $x^2 + y^2 > 72\text{cm}^2$



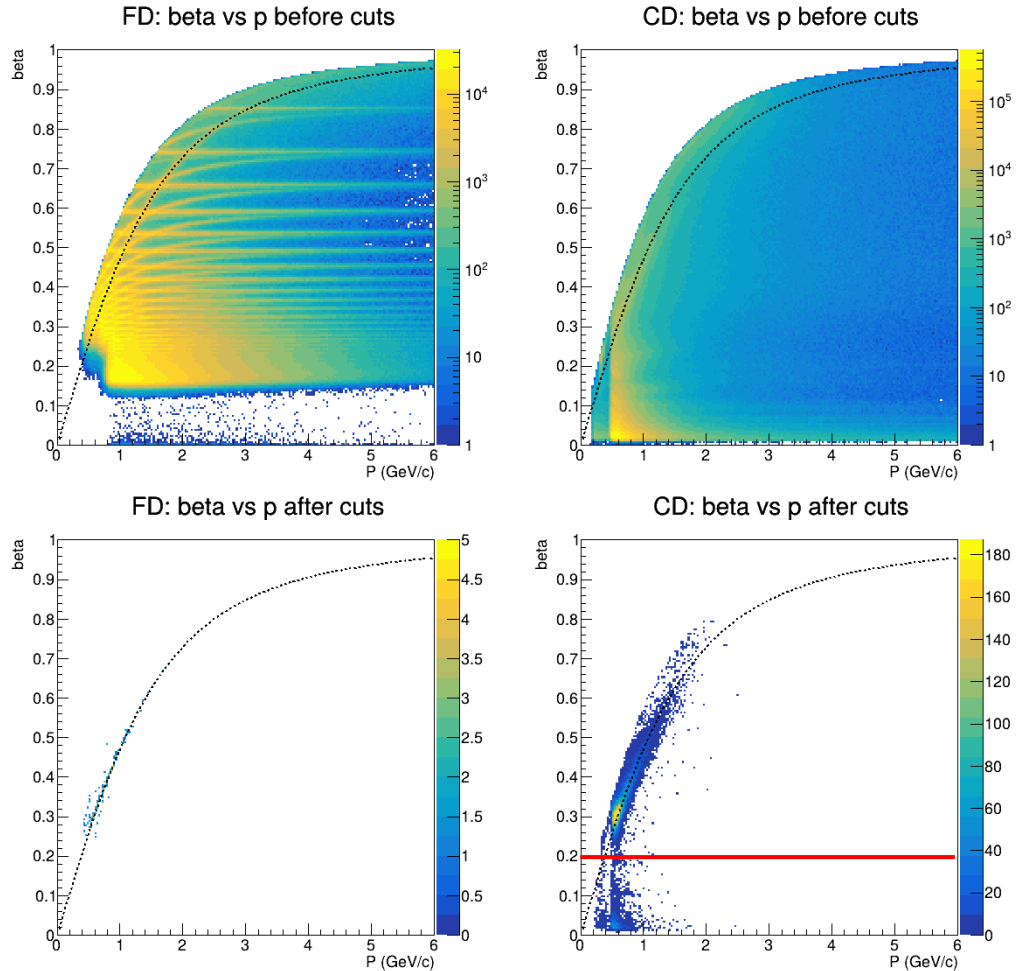
Deuteron identification

PID = 45

$\beta > 0.2$

DVCS deuterons are mainly in the CD

Exclusivity cuts remove all the accidental background



Channel identification

$Q^2 > 1.5 \text{ GeV}$

Exclusivity cuts on the following variables

$W > 2 \text{ GeV}$

γ energy $> 1.5 \text{ GeV}$

e^- momentum $> 1 \text{ GeV}$

- Missing masses :

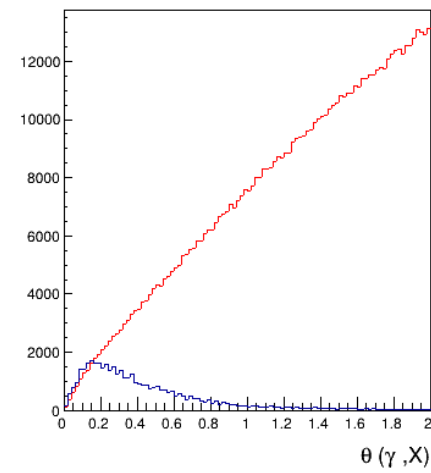
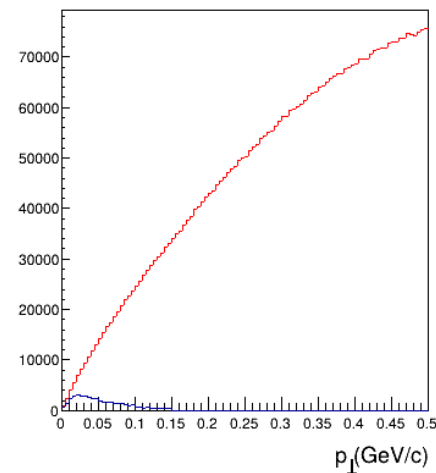
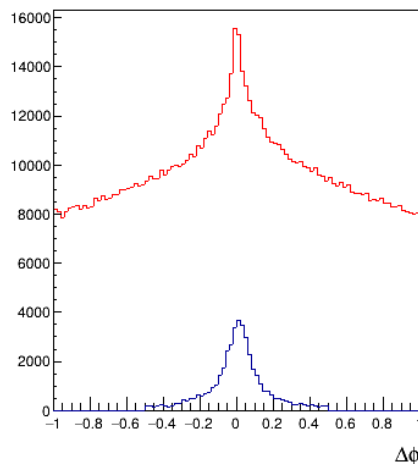
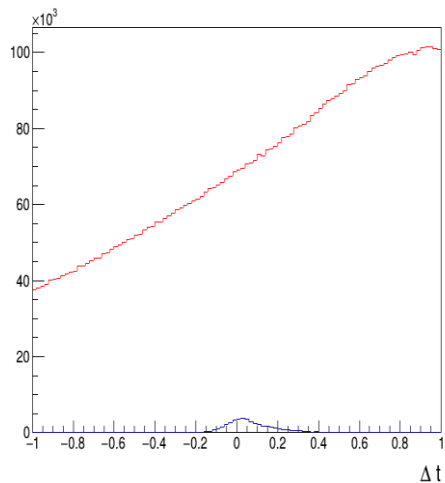
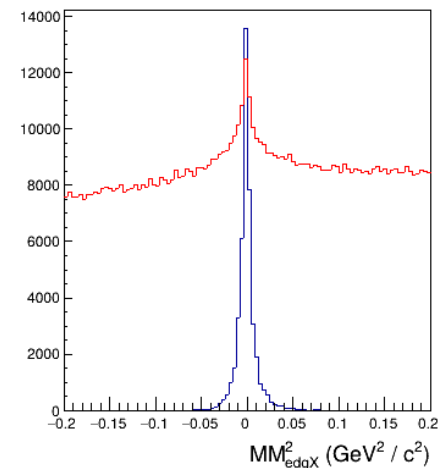
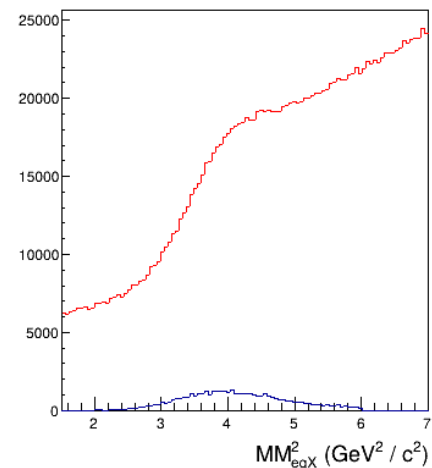
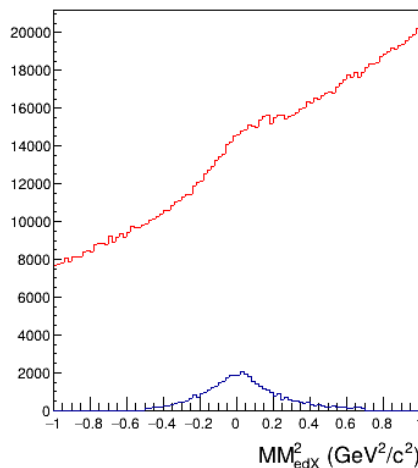
- $e^- + d \rightarrow e^- + d + \gamma + X$
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- $e^- + d \rightarrow e^- + \gamma + X$

- $p_{\perp}, \Delta t, \Delta\phi, \theta(\gamma, X)$

- Different sets of cuts used for γ in FT/FD

Exclusivity variables before (red) and after (blue) exclusivity cuts

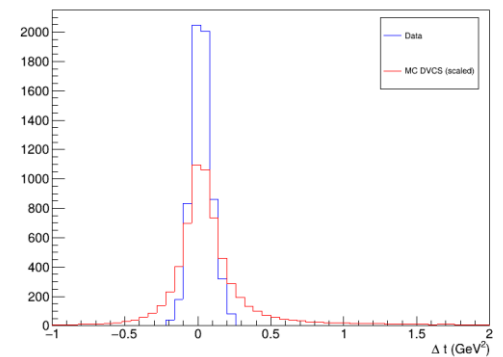
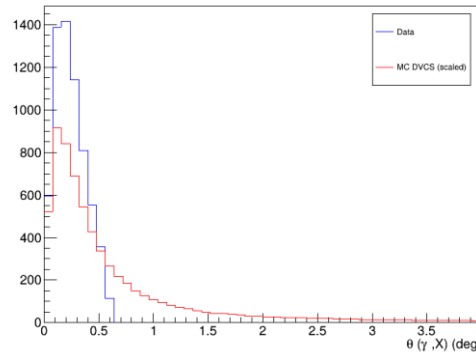
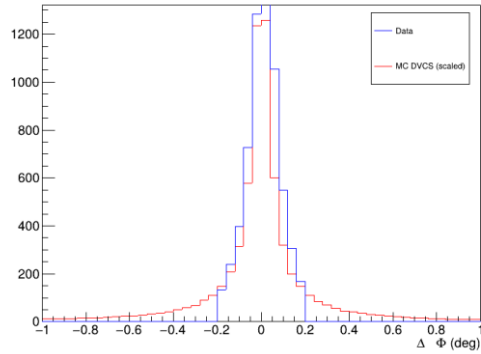
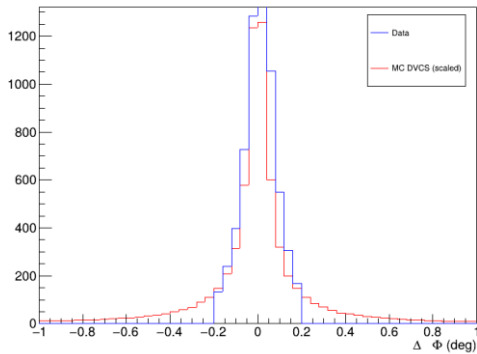
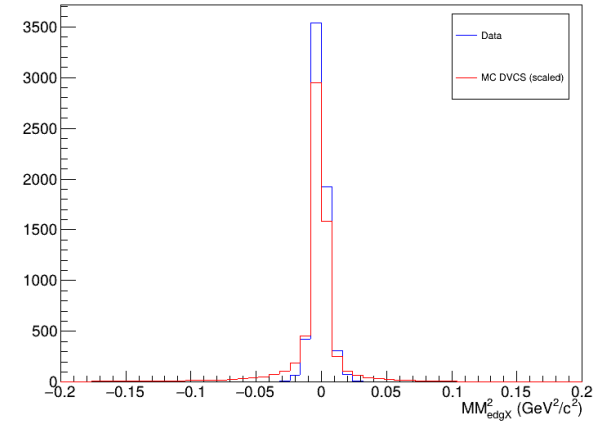
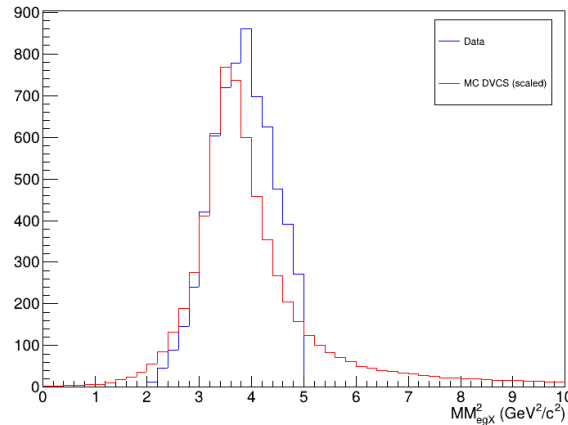
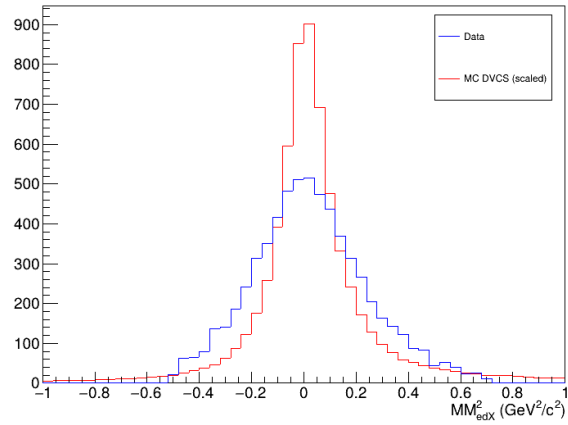
Data after cuts is shown
scaled by a factor 5



Monte-Carlo

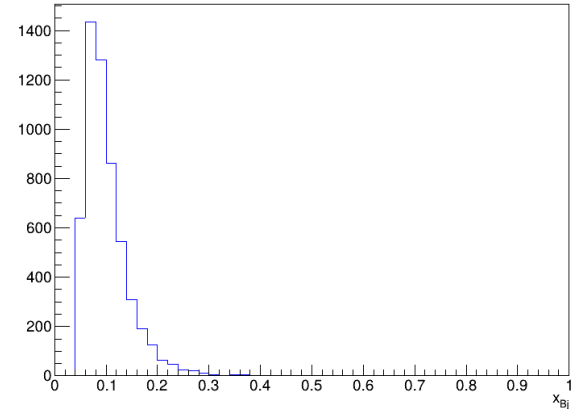
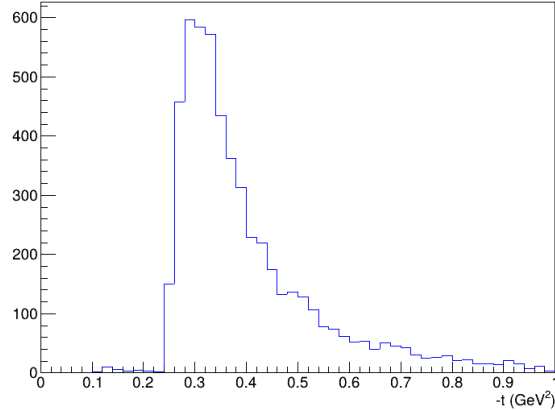
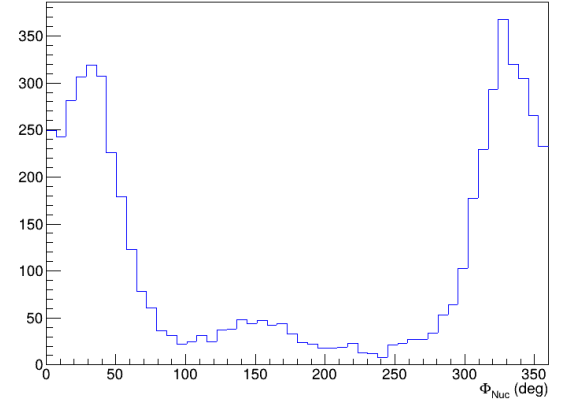
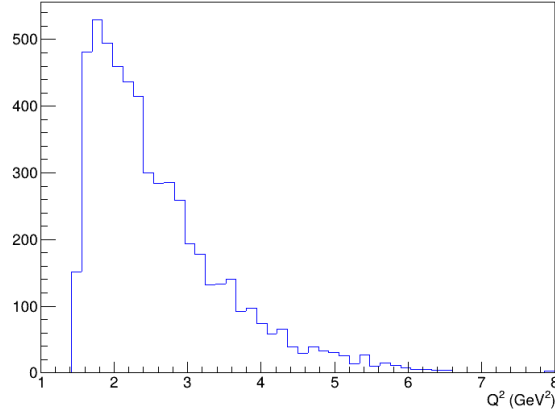
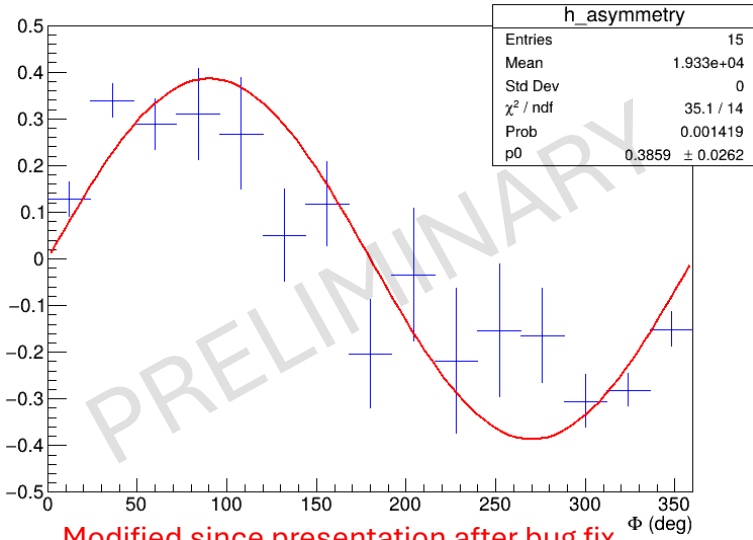
- Event generator:
 - fsgen12 from S. Stepanyan
 - Phase-space + reasonable Q^2 distribution
- Full simulation (gemc + coatjava) using RGB settings
- DVCS and π^0 events were generated

DVCS comparison with Monte-Carlo



Asymmetry

Raw BSA integrated over all kinematics

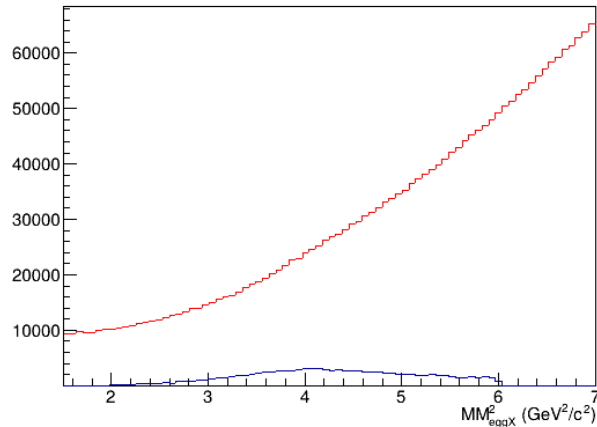
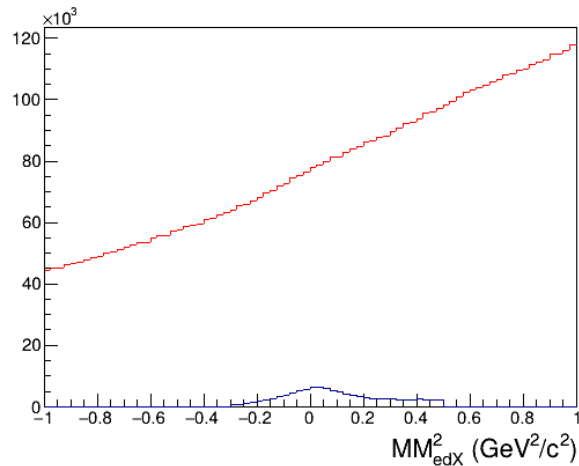


π^0 background subtraction

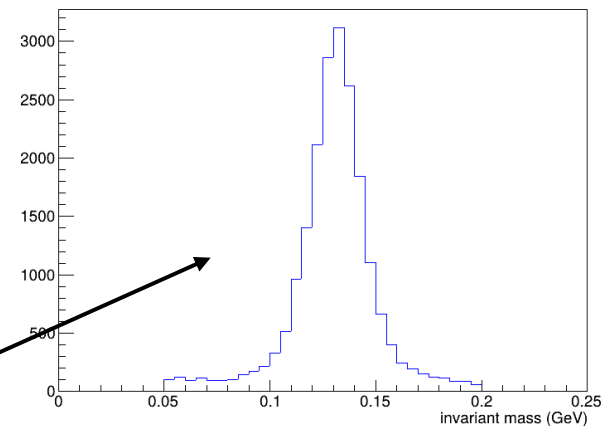
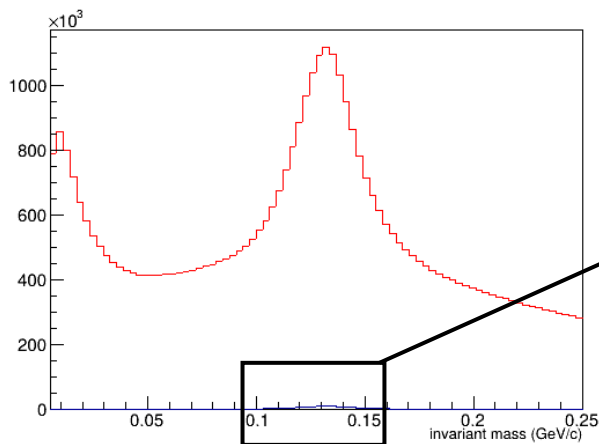
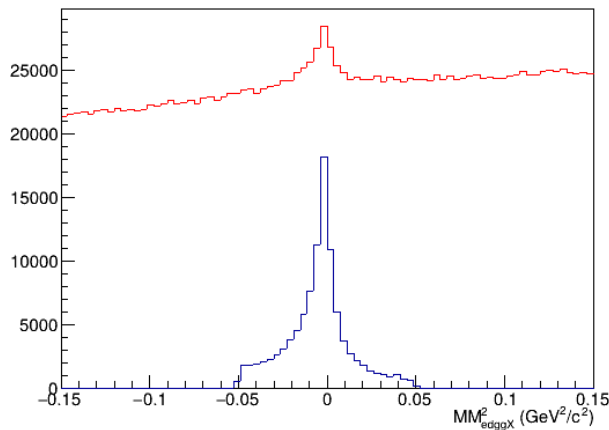
- Description of the method:
 - Estimate the ratio of partially reconstructed $ed\pi^0(1\gamma)$ decays (misinterpreted as DVCS) to fully reconstructed $ed\pi^0$ decays in MC
 - Multiply this ratio by the number of reconstructed $ed\pi^0$ in data to get the number of $ed\pi^0(1\gamma)$ in data
 - Subtract this number from DVCS reconstructed event candidates in data for each kinematical bin

$$ed\pi^0(1\gamma)_{\text{DATA}} = ed\pi^0_{\text{DATA}} \times \frac{ed\pi^0(1\gamma)_{\text{MC}}}{ed\pi^0_{\text{MC}}}$$

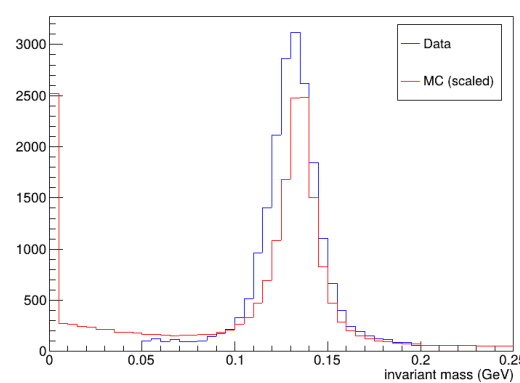
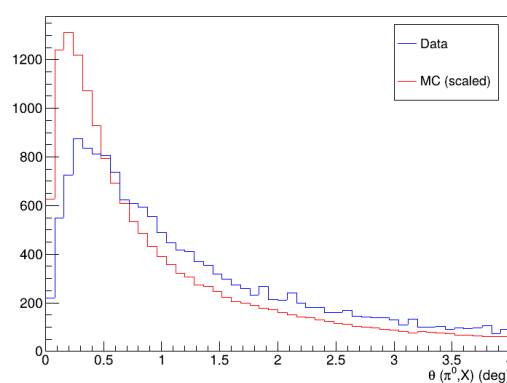
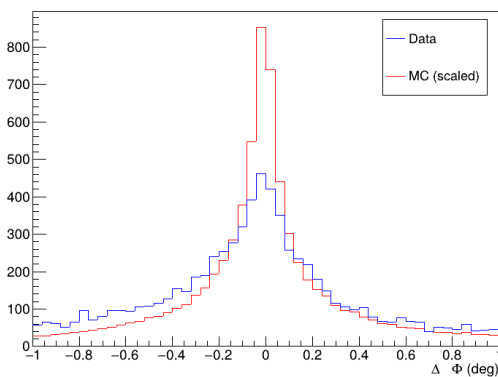
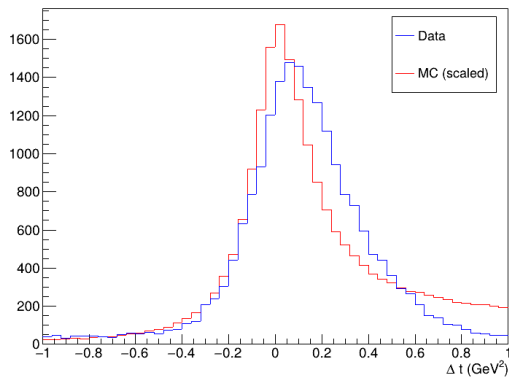
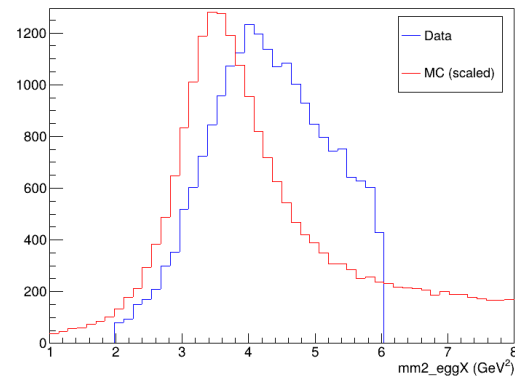
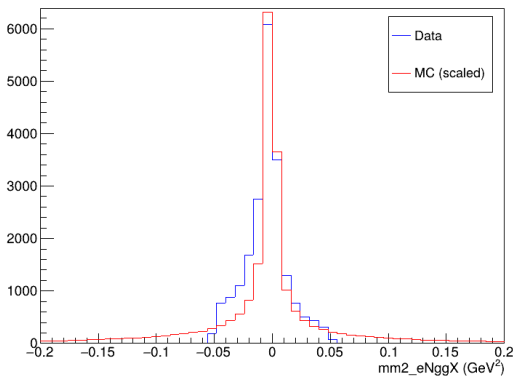
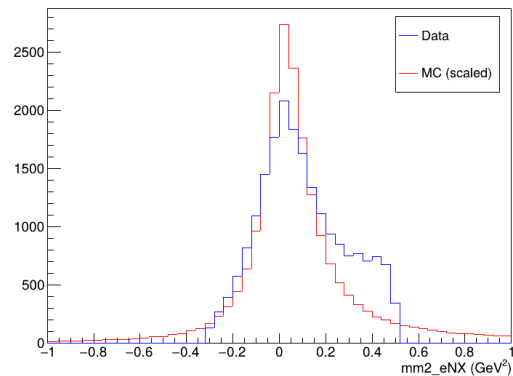
π^0 channel selection before (red) and after (blue) exclusivity cuts



Data after cuts is shown scaled by a factor 5



π^0 comparison with Monte-Carlo



Next steps

- Get asymmetry with π^0 background subtracted
- Refine cuts
- Estimate systematic errors
- Optimize binning
- Write analysis note