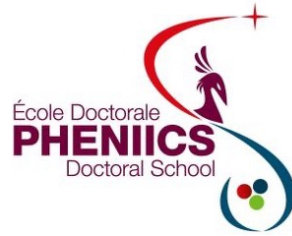




irfu



CNUGS Summer School



ϕ electroproduction on the neutron with CLAS12

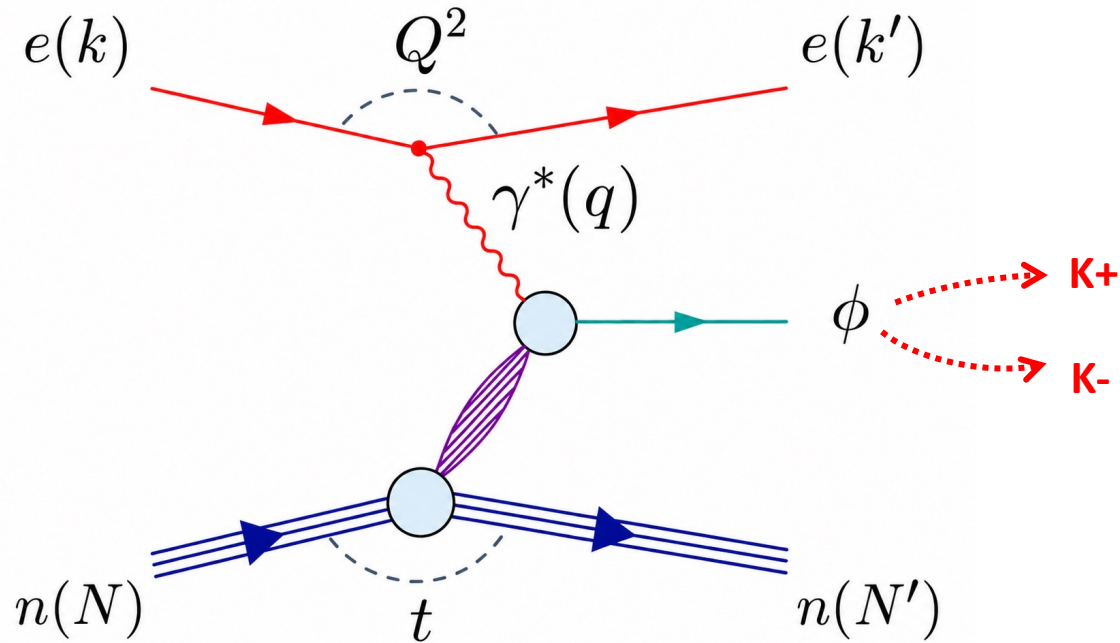
10 June 2026

M. Ronayette, P. Chatagnon

ϕ electroproduction on the neutron with CLAS12

1. Introduction and motivations
2. CLAS12 experiment
3. Extraction of the number of events
4. Generator for Monte Carlo simulations
5. Acceptance correction
6. Proton contamination
7. Preliminary results on the differential cross section

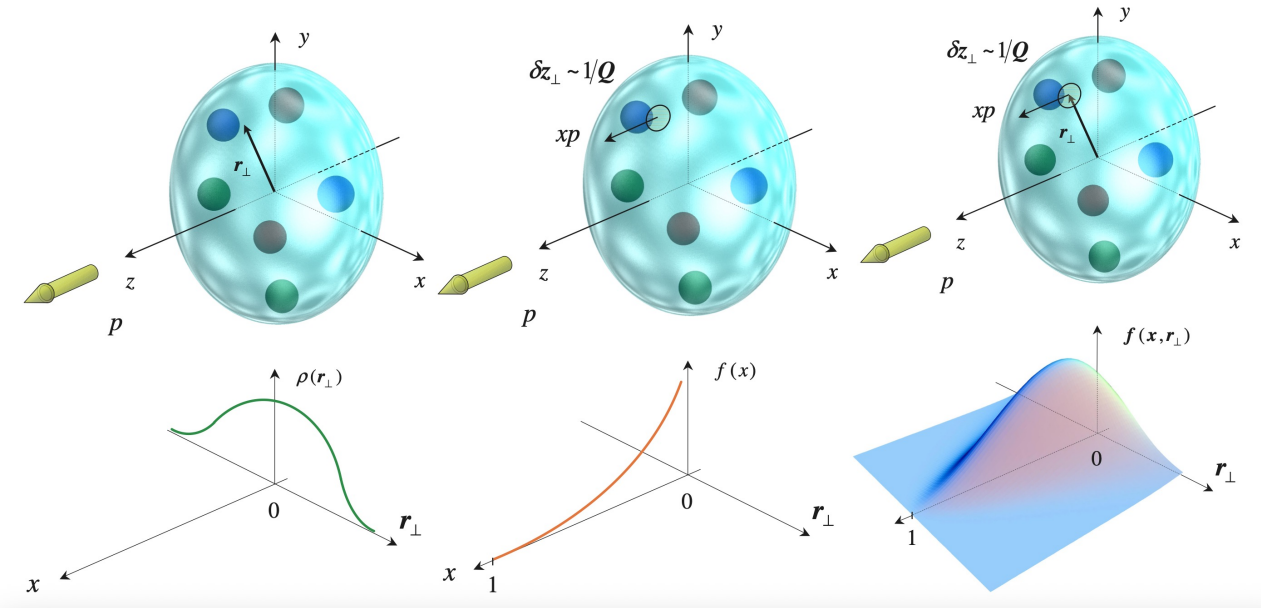
Introduction and motivations



Analysis objective :

Measurement of the **cross section** of the **ϕ electroproduction** on **neutron** in the **$K^+ K^-$** channel with **deuterium** target.

Introduction and motivations



Density of gluons carrying momentum fraction x :

$$H_g(x, \xi = 0, t = 0) = xg(x)$$

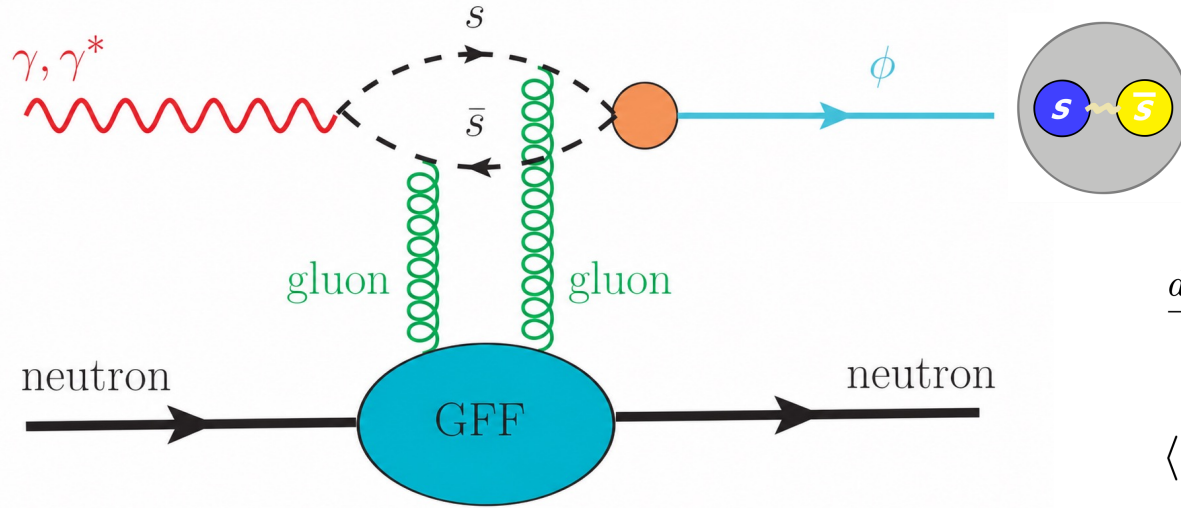
Spatial profile of the distribution of gluons at given x :

$$xg(x, b) \equiv \int \frac{d^2 \Delta_T}{(2\pi)^2} e^{i\Delta_T b} H_g(x, \xi = 0, t = -\Delta_T^2)$$

The interpretation of GPDs as a tomography of the nucleon

Figure from A.V. Belitsky and A. V. Radyushkin. *Unraveling hadron structure with GPDs.*

Introduction and motivations



$$\frac{d\sigma_L}{dt} = \frac{\alpha_{em}}{Q^2} \frac{x_B^2}{1-x_B} [(1-\xi^2)|\langle H_g \rangle|^2 + \text{terms in } \langle E_g \rangle]$$

$$\langle H_g \rangle \equiv \frac{3\pi f_\phi}{27} \int_{-1}^1 dx H_g(x, \xi; t) K(x, \xi, Q^2)$$

→ Since the contribution of the sea of quark-antiquark pairs inside the neutron is negligible, gluons play a major role in the creation of the $s \bar{s}$ pair.

→ Extracting the ϕ electroproduction cross section makes it possible to probe the gluon content of the neutron (integrals of GPDs).

CLAS12 Experiment

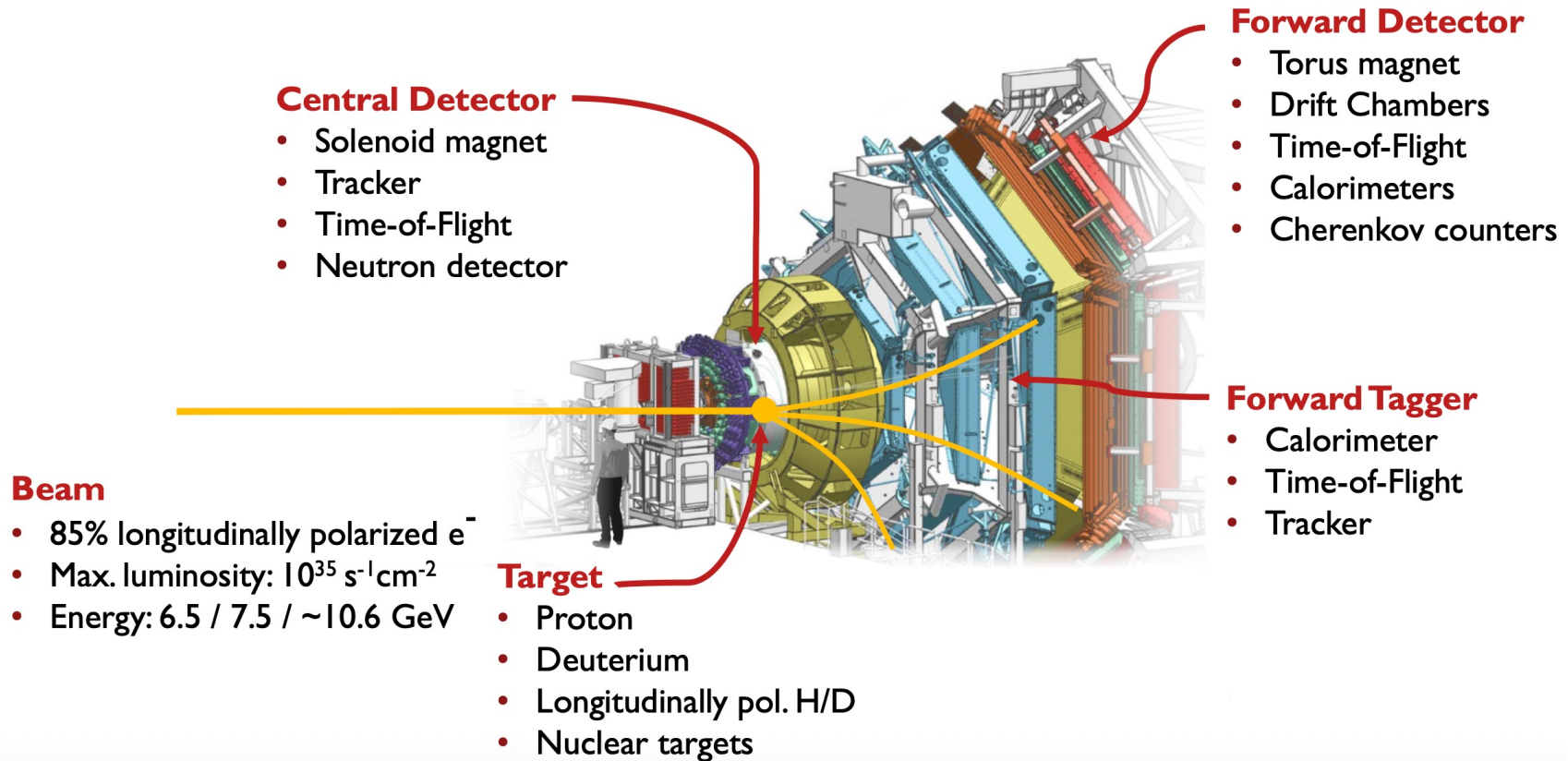
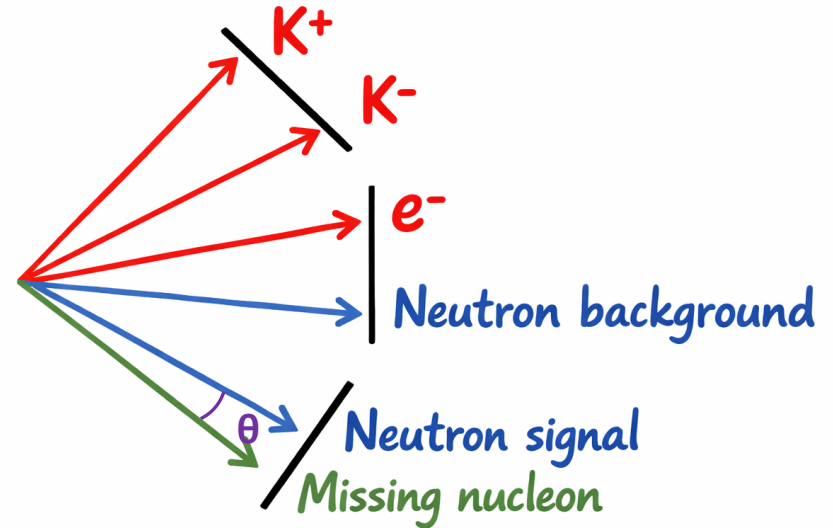


Figure from P. Chatagnon – Probing the proton fundamental properties with exclusive reactions at Jefferson Lab

Extraction of the number of event



- Select the best neutron which minimize the angle between the **missing nucleon** and the **neutron** and verify that the angle θ between both is less than 5° .
- Also we need **0 proton** detected to reduce contamination.



Additional cuts :

$Q^2 > 1.0 \text{ GeV}^2$	$P_{\text{electron}} > 2 \text{ GeV}$	$\theta_{\text{neutron}} > 4^\circ$	$P_{\text{neutron}} > 0.25 \text{ GeV}$	$-0.5 < \text{Miss}_{\text{tot}}^2 < 0.5 \text{ GeV}^2$
---------------------------	---------------------------------------	-------------------------------------	---	---

Extraction of the number of event

Fit performed using RooFit.

Signal model :

The signal is described by a Gaussian function :

$$S(M_{inv}) = \frac{1}{\sqrt{2\pi}\sigma} \exp\left(-\frac{(M_{inv}-\mu)^2}{2\sigma^2}\right)$$

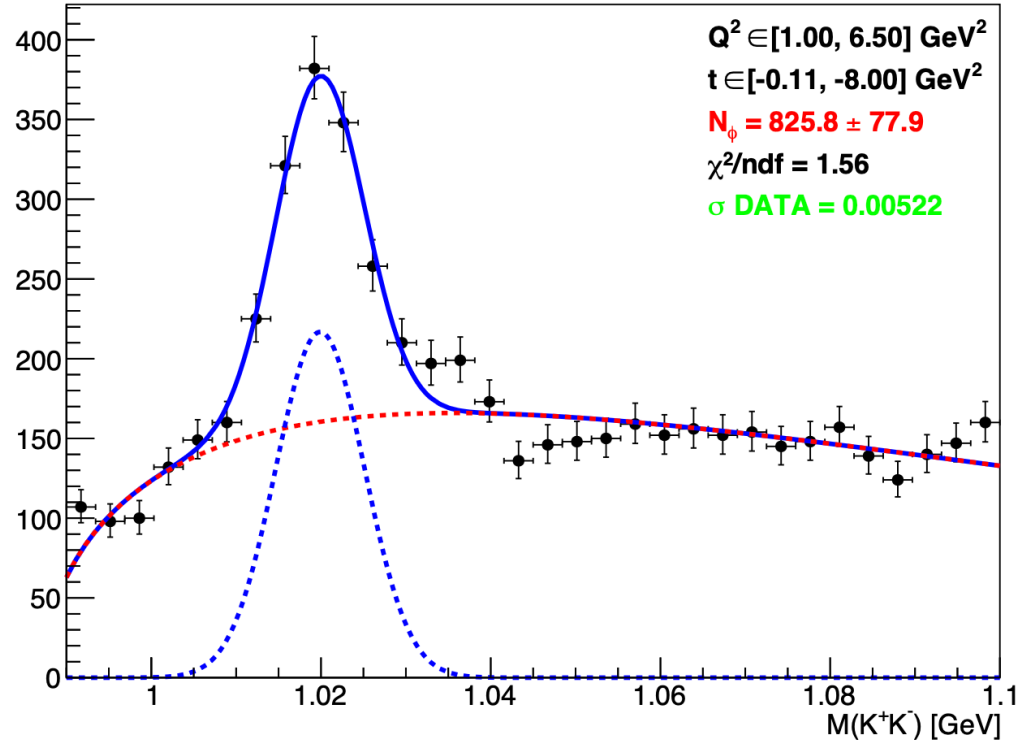
Background model :

The background is modeled using a threshold function multiplied by an exponential polynomial :

$$B(M_{inv}) = \sqrt{M_{inv}^2 - 4m_K^2} \exp(a_0 M_{inv} + a_1 M_{inv}^2)$$

where :

- m_K is the kaon mass,
- a_0 and a_1 are free parameters of the fit.

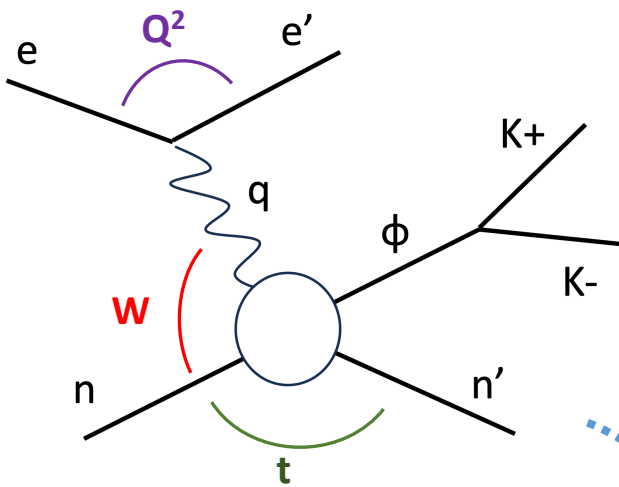


Fall2019 outbending

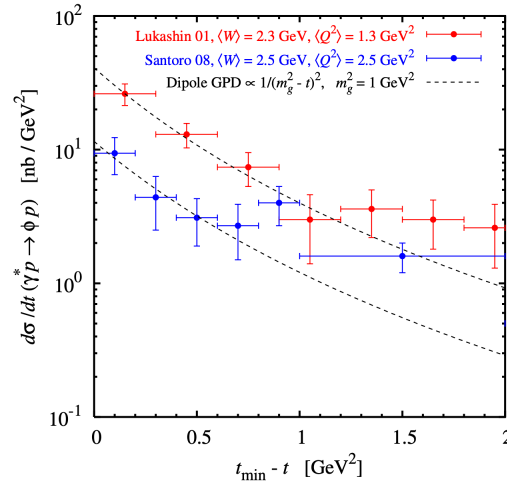
Q = 12.1 mC

Generator for MC simulation

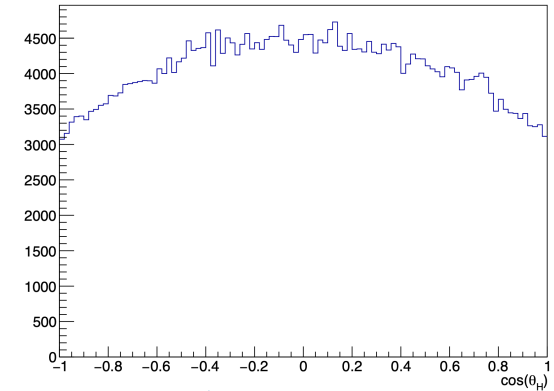
1) kinematics



2) Cross section



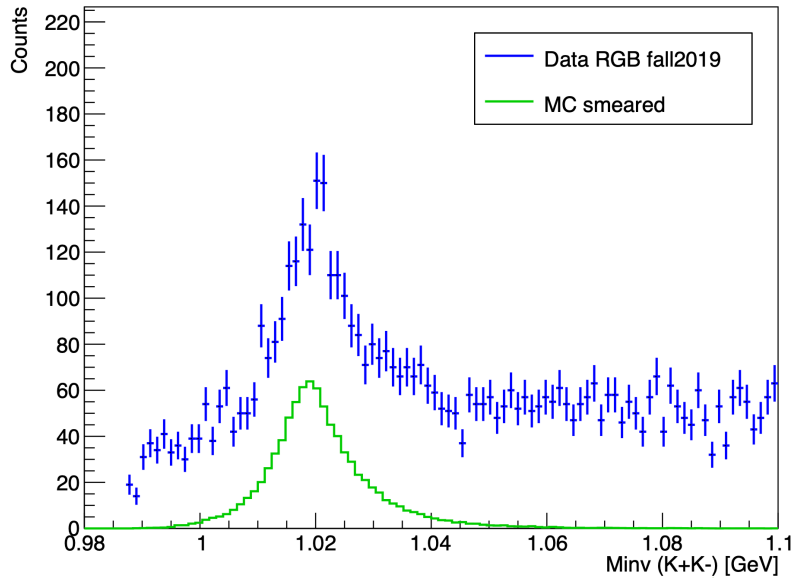
3) SDME



$$\text{Total weight} = \text{Phase Space} * \frac{d^3\sigma}{dt dQ^2 dx_b} * \text{SDME} * BR_{\phi \rightarrow K^+ K^-}$$

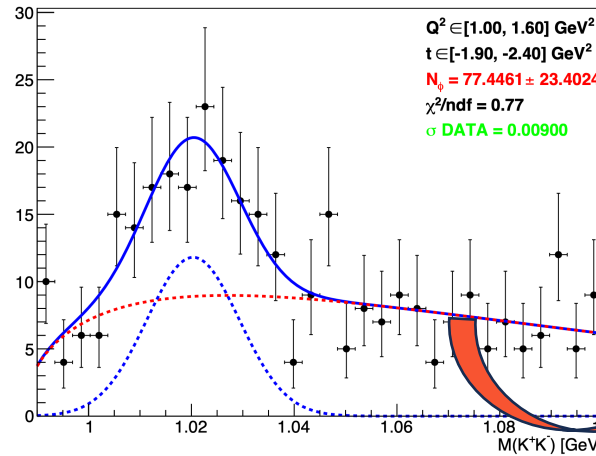
Comparison MC vs Data

Invariant Mass K+ K-

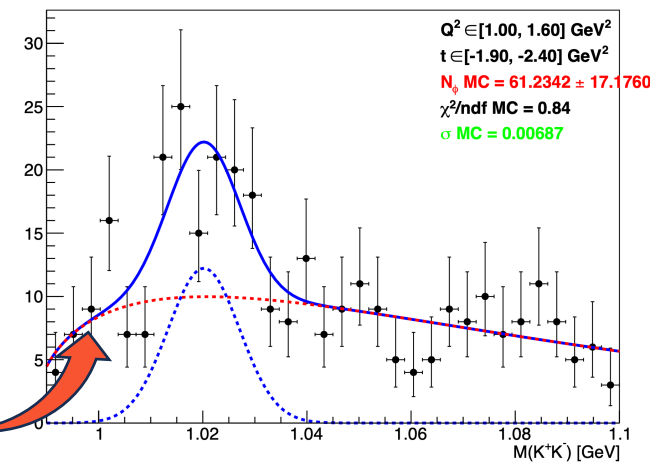


In green, the reconstructed event after simulation with GEMC, the GEANT4 simulation of CLAS12.

DATA



MC



Random fill from the distribution of data background to take this into account in our MC.

Acceptance correction

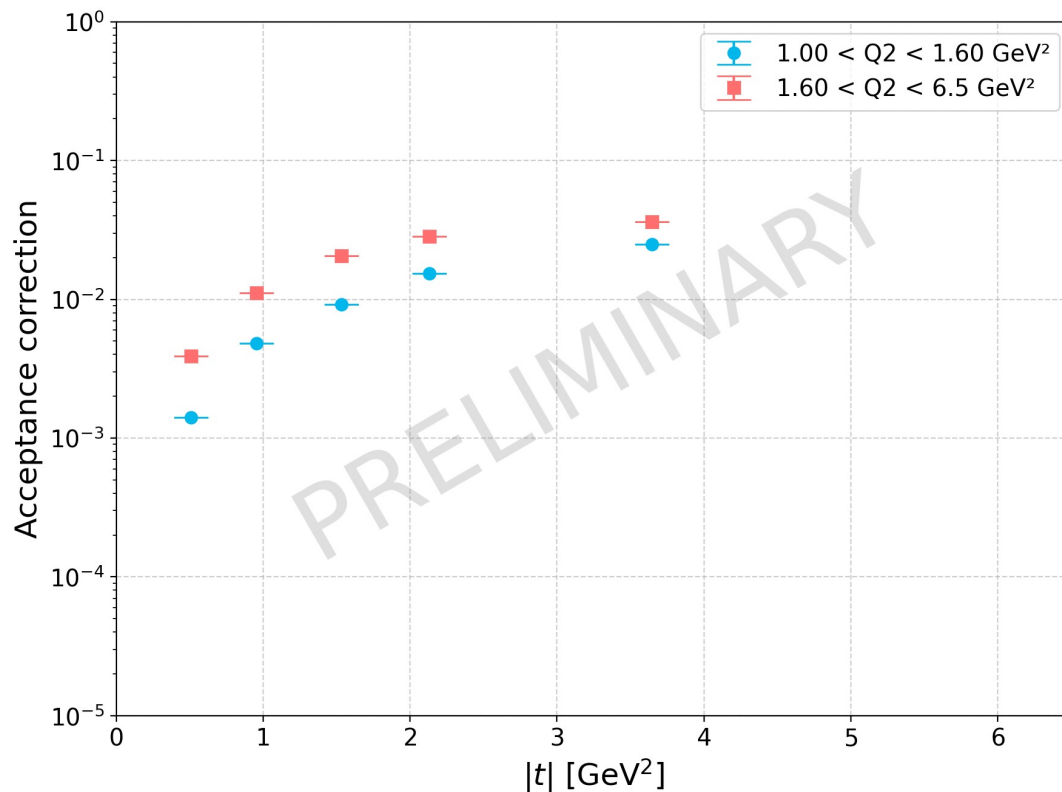
$$A = \frac{N_{rec}}{N_{gen}} * \frac{N_{fit}}{N_{random}}$$



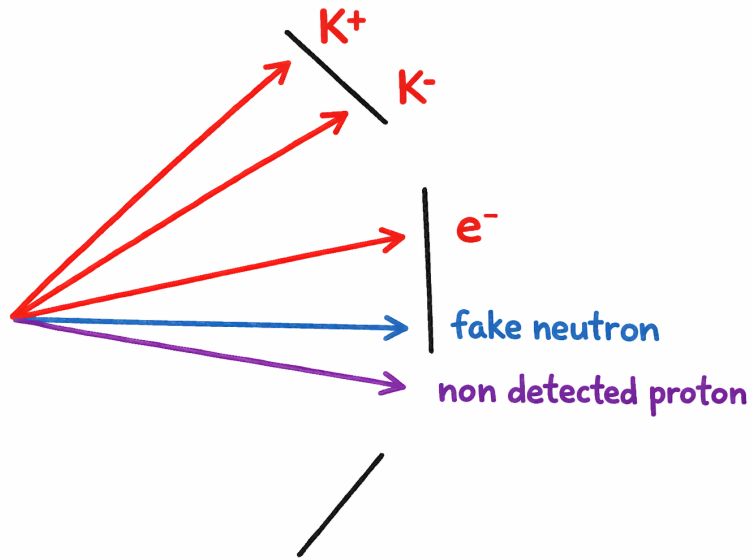
Contribution from the model, the geometry and the efficiency.



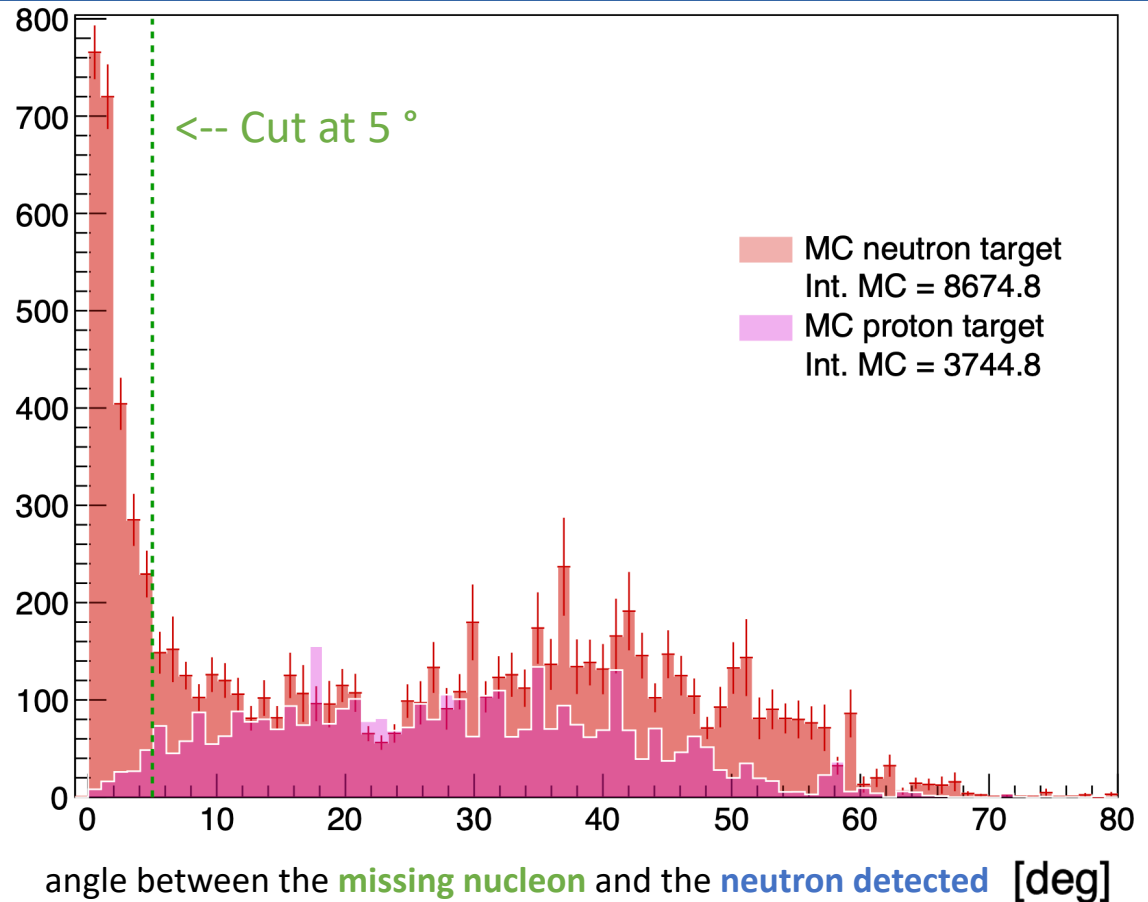
Contribution from the resolution of the fit.



Proton contamination estimation



Contamination when the **missing nucleon** is a **non detected proton** and there is a **fake neutron** signal who pass the cut on the angle



Preliminary differential cross section

The differential cross section of this reaction $e n \rightarrow e' n' \phi$ is :

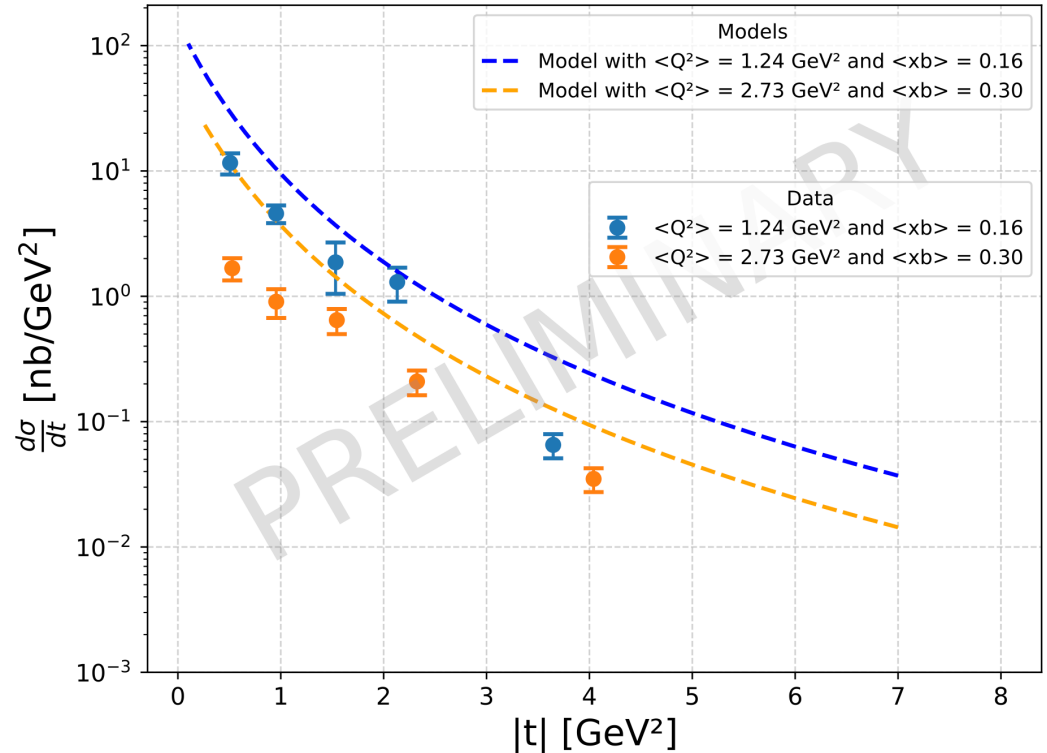
$$\frac{d^3\sigma}{dQ^2 dx_B dt} = \Gamma(Q^2, x_B, E) \left[\frac{d\sigma_T}{dt}(Q^2, x_B, t) + \epsilon \frac{d\sigma_L}{dt}(Q^2, x_B, t) \right]$$

with $\Gamma \equiv \frac{\alpha}{8\pi} \frac{Q^2}{m_N^2 E^2} \frac{1-x_B}{x_B^3} \frac{1}{1-\epsilon}$ the virtual photon flux factor.

The reduced differential cross section of this reaction $\gamma^* n \rightarrow n' \phi$ is given by :

$$\frac{d\sigma}{dt}(Q^2, x_B) = \frac{1}{\Gamma(Q^2, x_B, E)} \cdot \frac{d^3\sigma}{dQ^2 dx_B dt}$$

$$\frac{d\sigma}{dt}(Q^2, x_B) = \frac{\Delta N}{\Gamma \cdot \Delta x_B \cdot \Delta Q^2 \cdot \Delta t \cdot f \cdot L \cdot Acc \cdot Br}$$

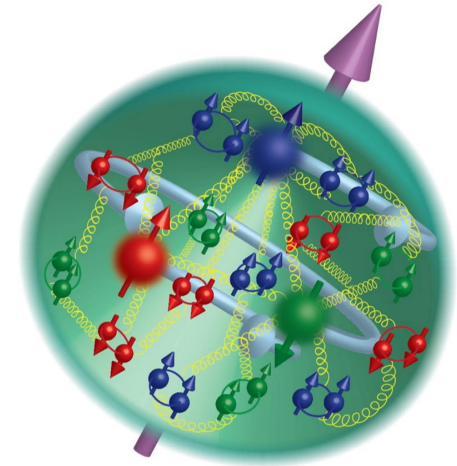


Conclusion and outlook

Next steps in the ϕ analysis :

- Improve the MC simulations (fermi motion, efficiency corrections for the kaons...)
- Develop momentum corrections for the kaons.
- Stay tuned for the final results, which will soon provide a first probe of the **gluons** inside the **neutron**!

Thanks!

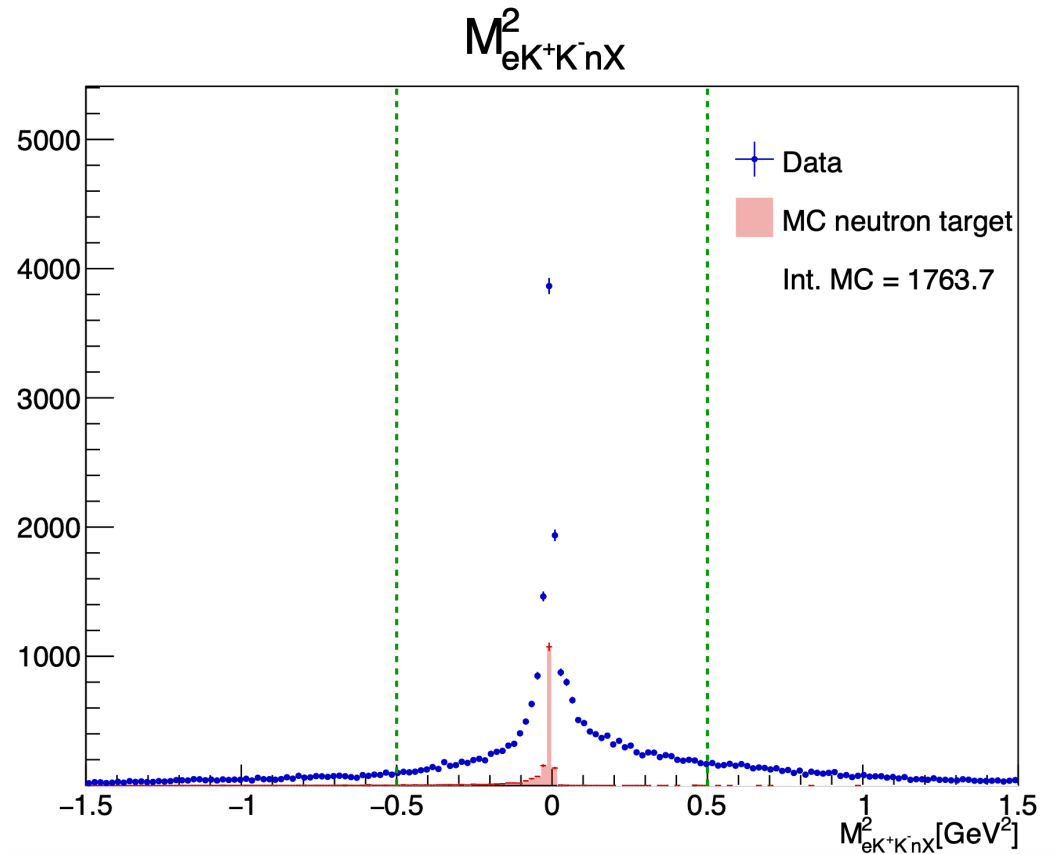


Backup slides

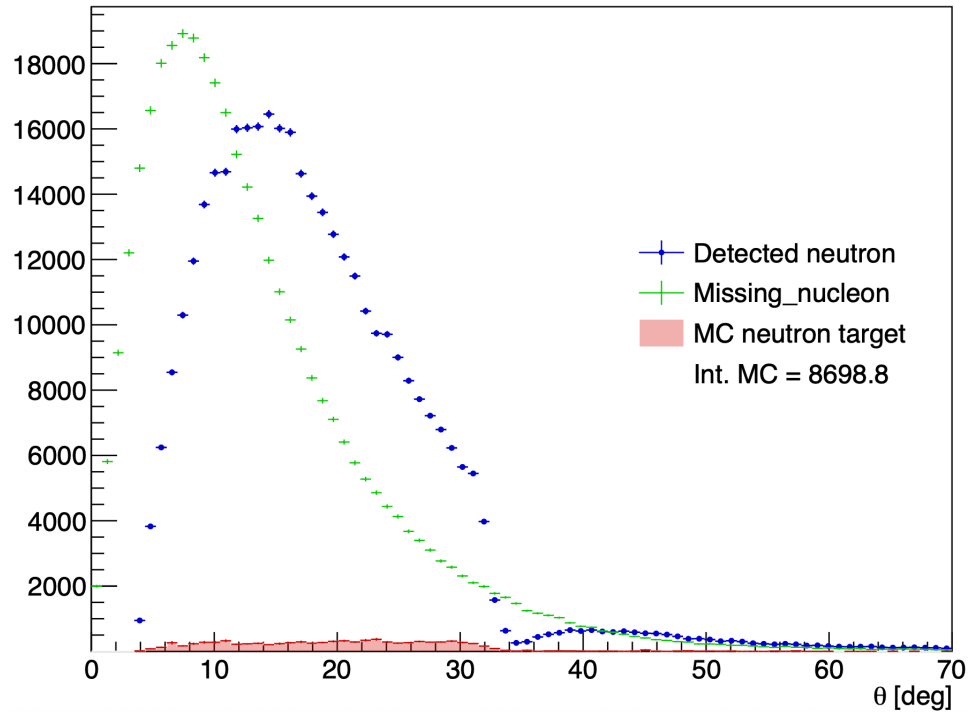
Event selection 1

Total missing mass $e n \rightarrow e' n' K^+ K^- X$
(after all the previous cut)

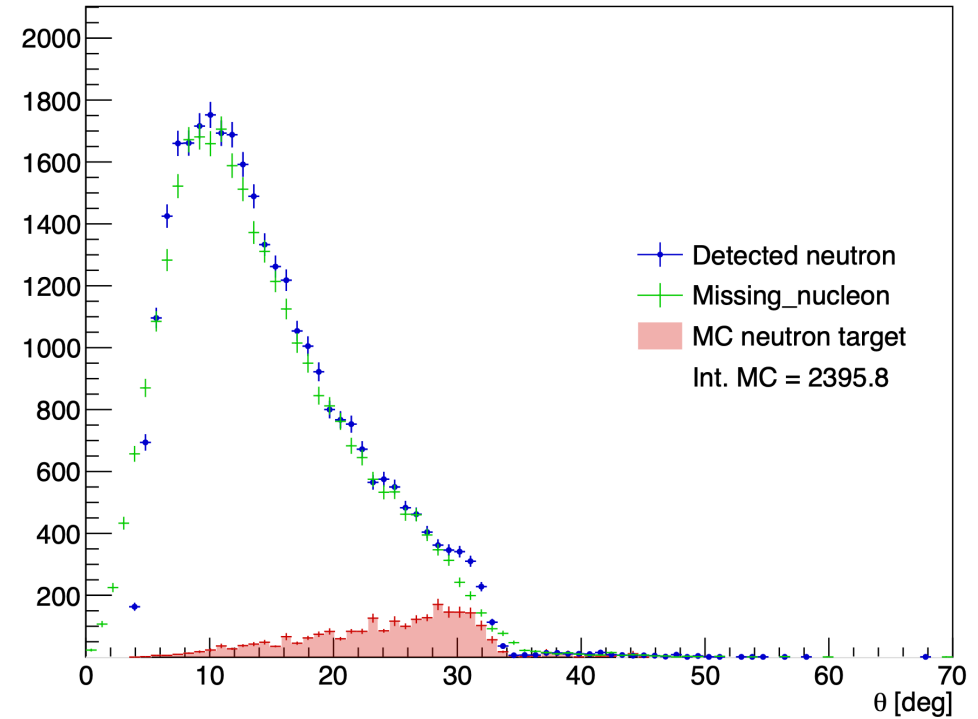
$$-0.5 < M_{eK^+K^-nX}^2 < 0.5 \text{ GeV}^2$$



Event selection 2 (cut angle between missing nucleon and detected neutron) :

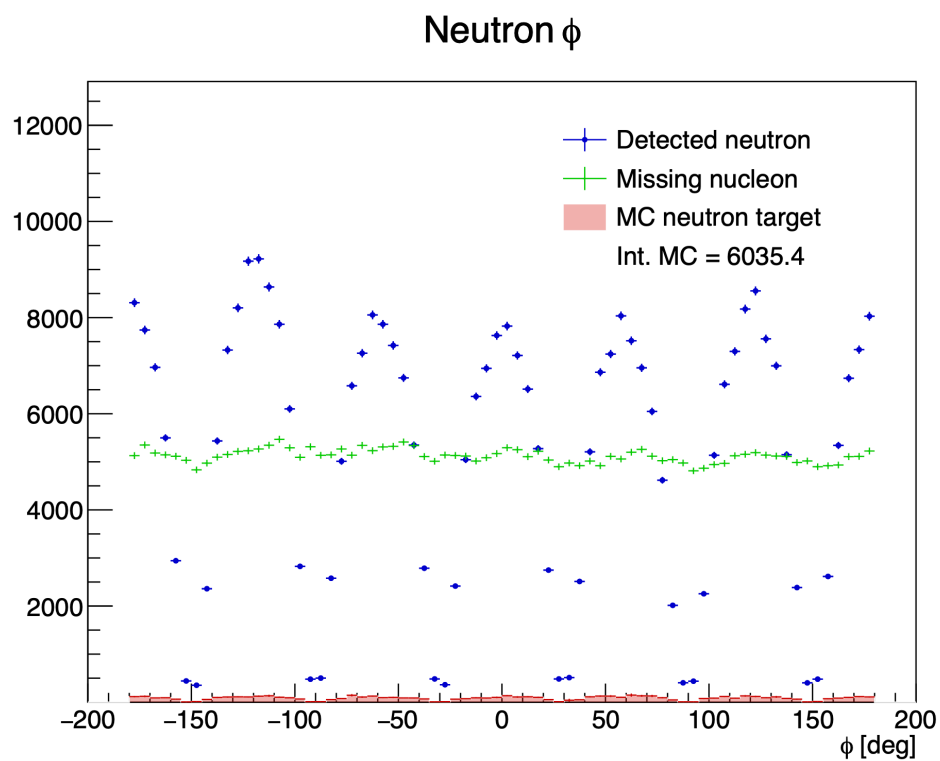


Without the angle cut

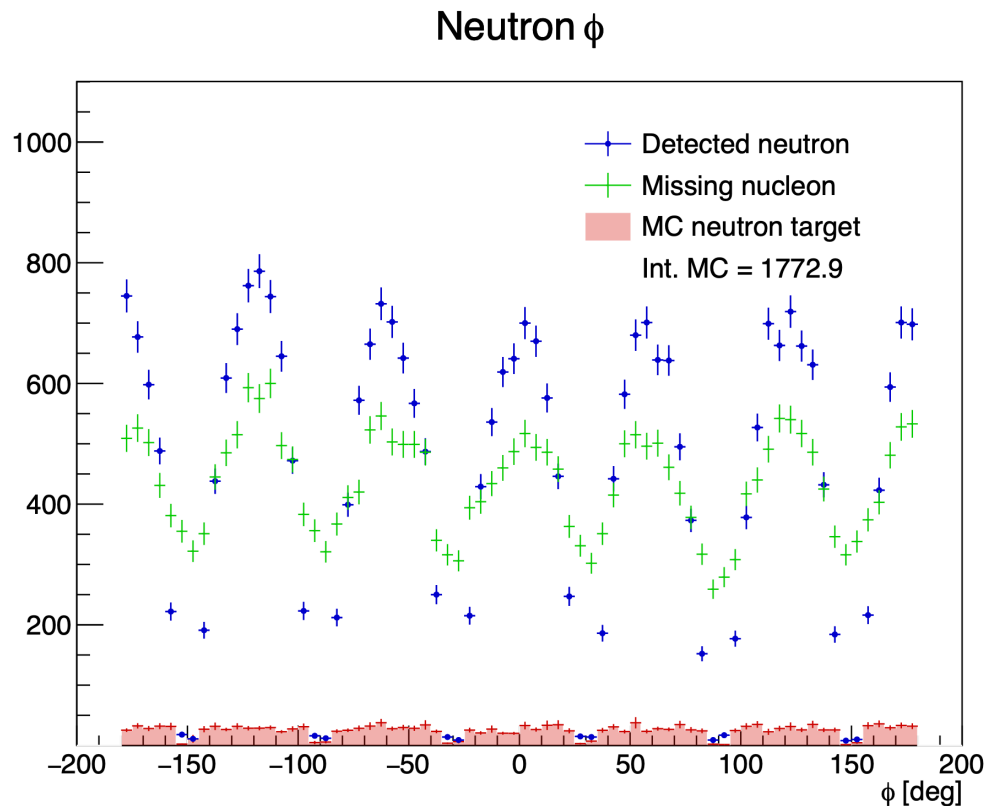


With the angle cut

Event selection 3 (cut angle between missing nucleon and detected neutron) :

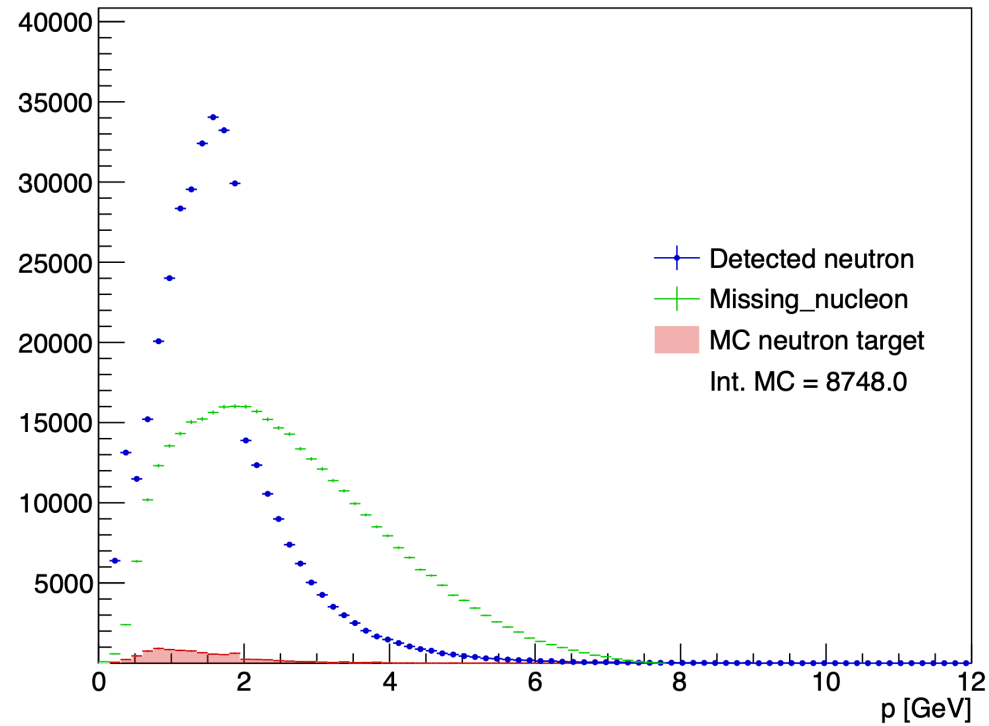


Without the angle cut

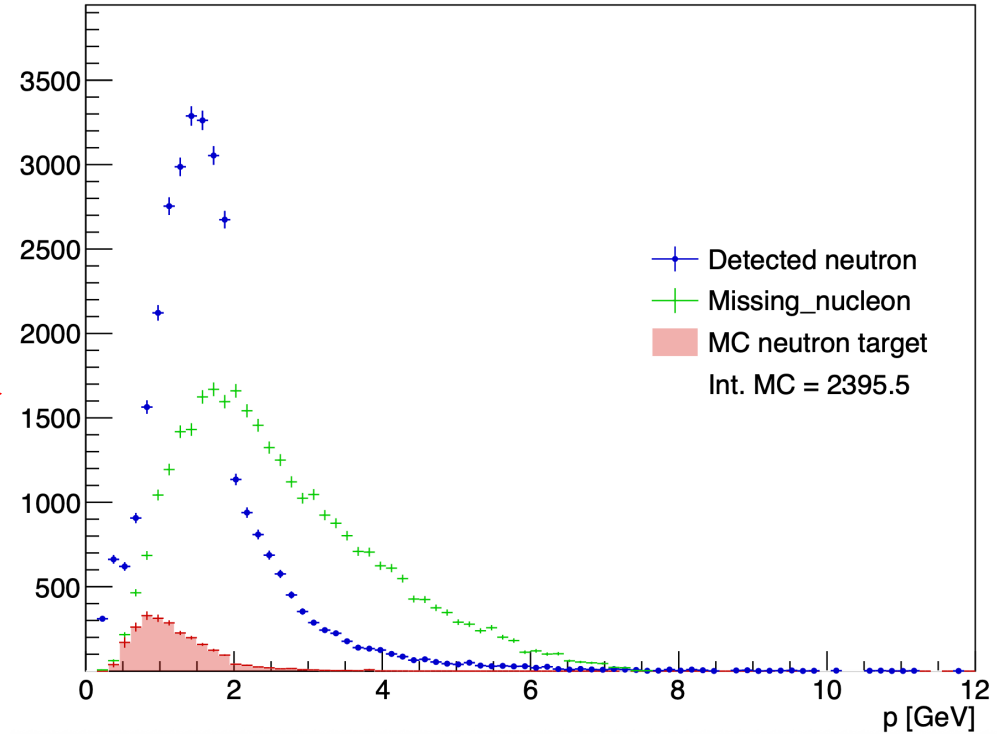


With the angle cut

Event selection 4 (cut angle between missing nucleon and detected neutron) :



Without the angle cut



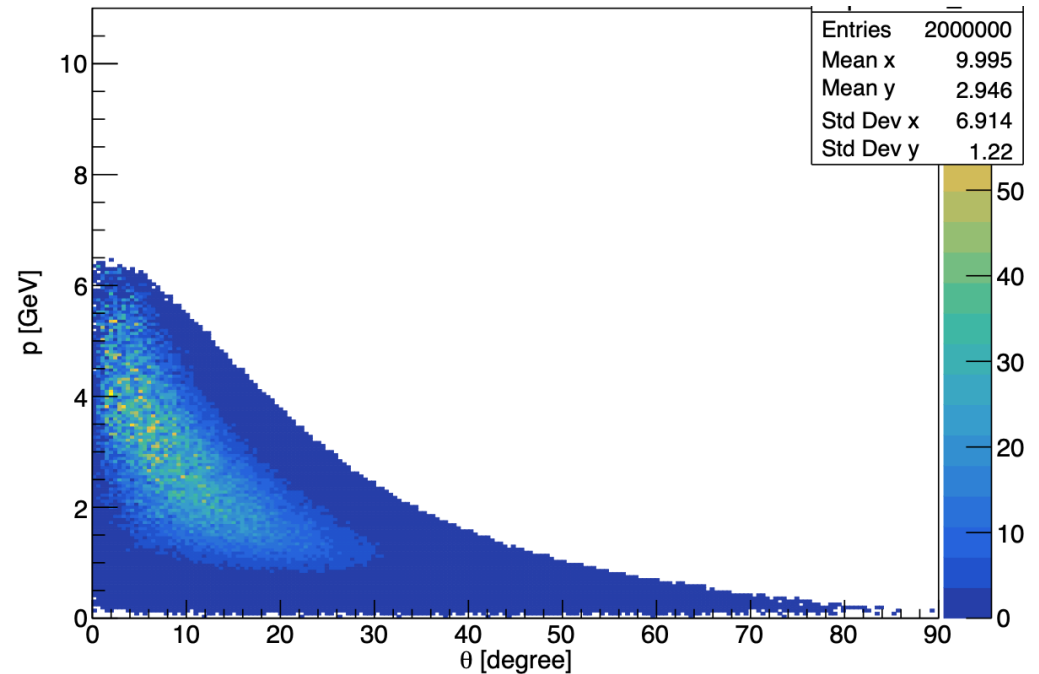
With the angle cut

Event selection 5 (Cut on the status of K^+K^-) :

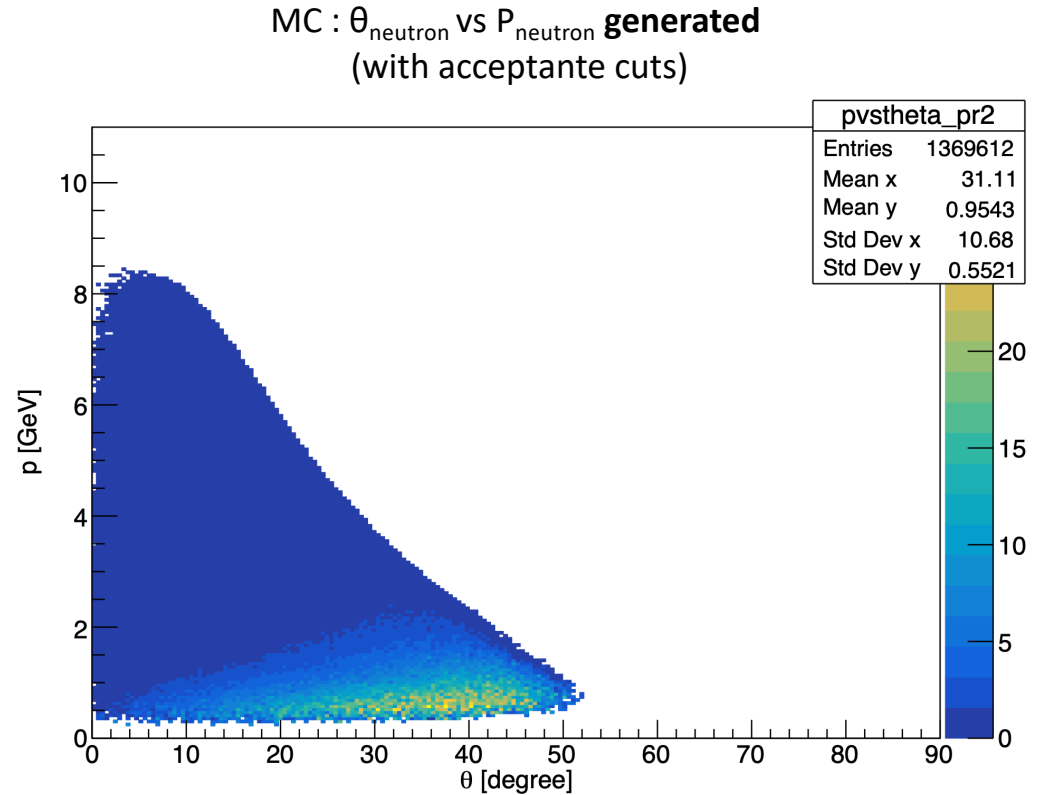
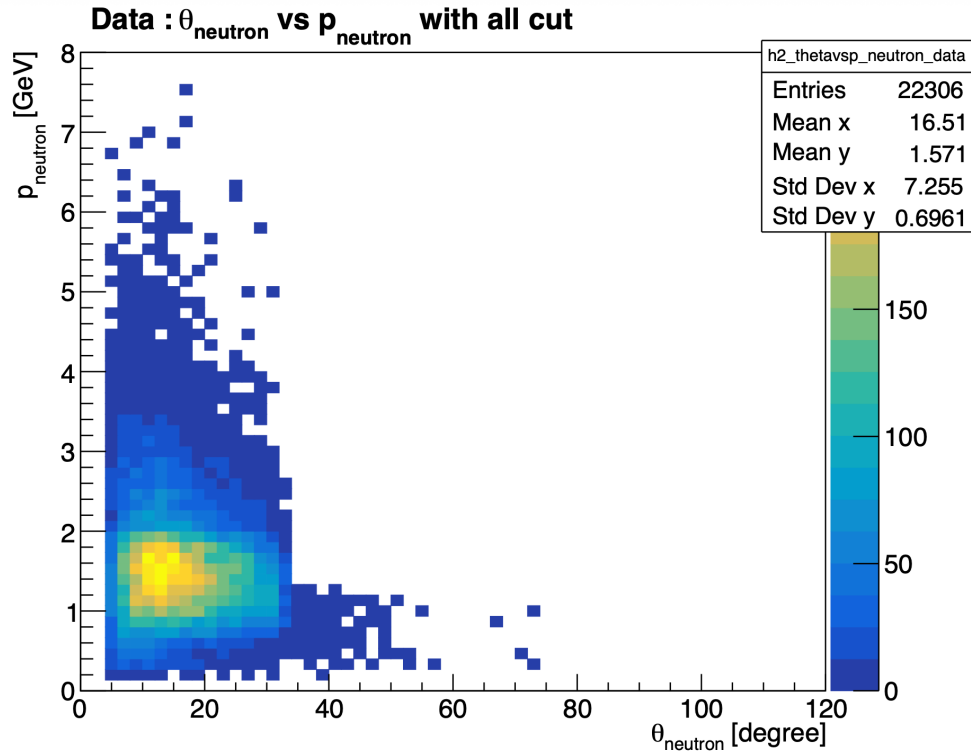
Two justifications to cut $K^+ K^-$ in CD :

- Reconstruction of kaons in the CD is less good than in the FD
- The generator predict few events in the CD

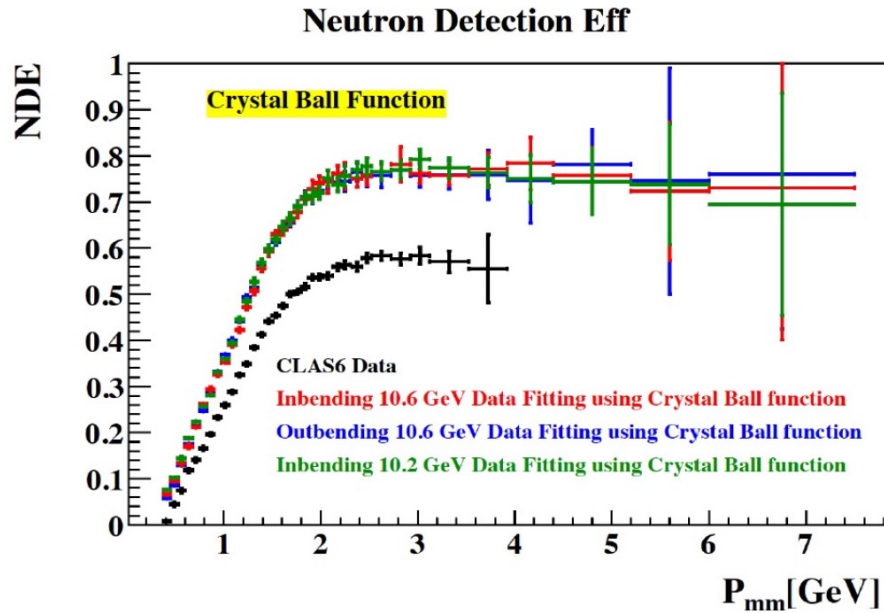
Generated event : p vs theta for K^+



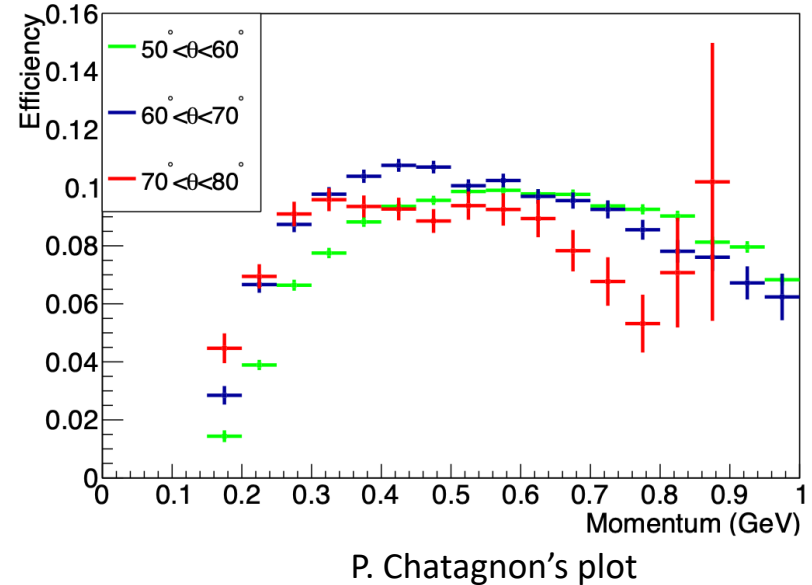
Event selection 6 (Neutron phasespace) :



Event selection 7 (Neutron phasespace) :

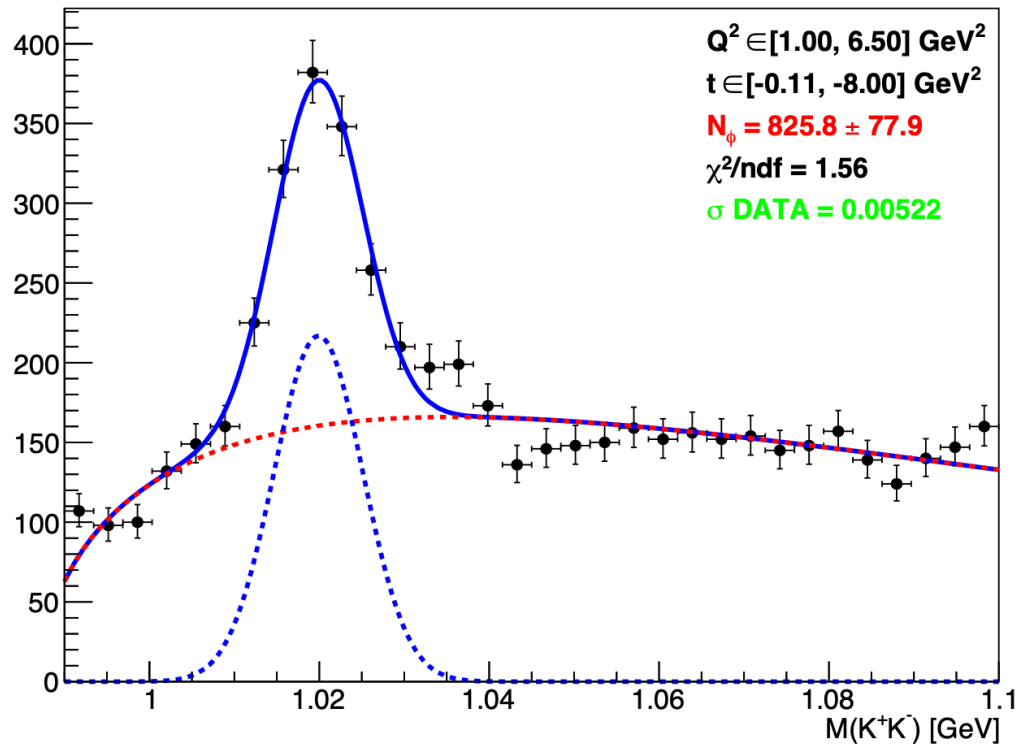


Neutron detection efficiency in the FD



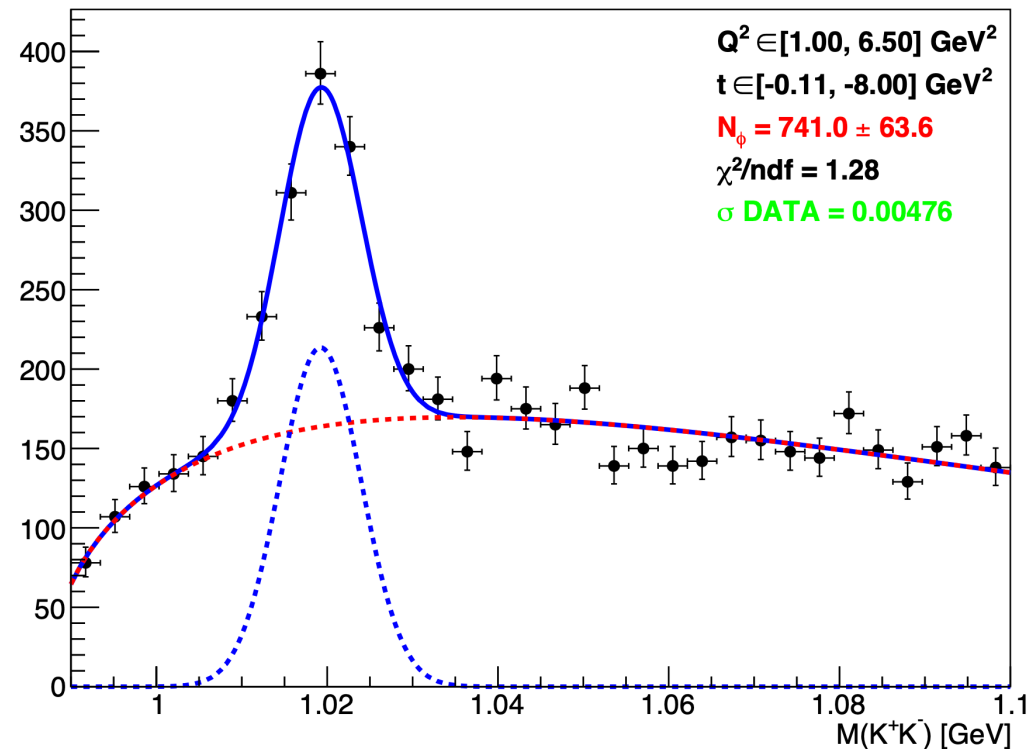
Neutron detection efficiency in the CND

Number of event 1



Fall2019 outbending

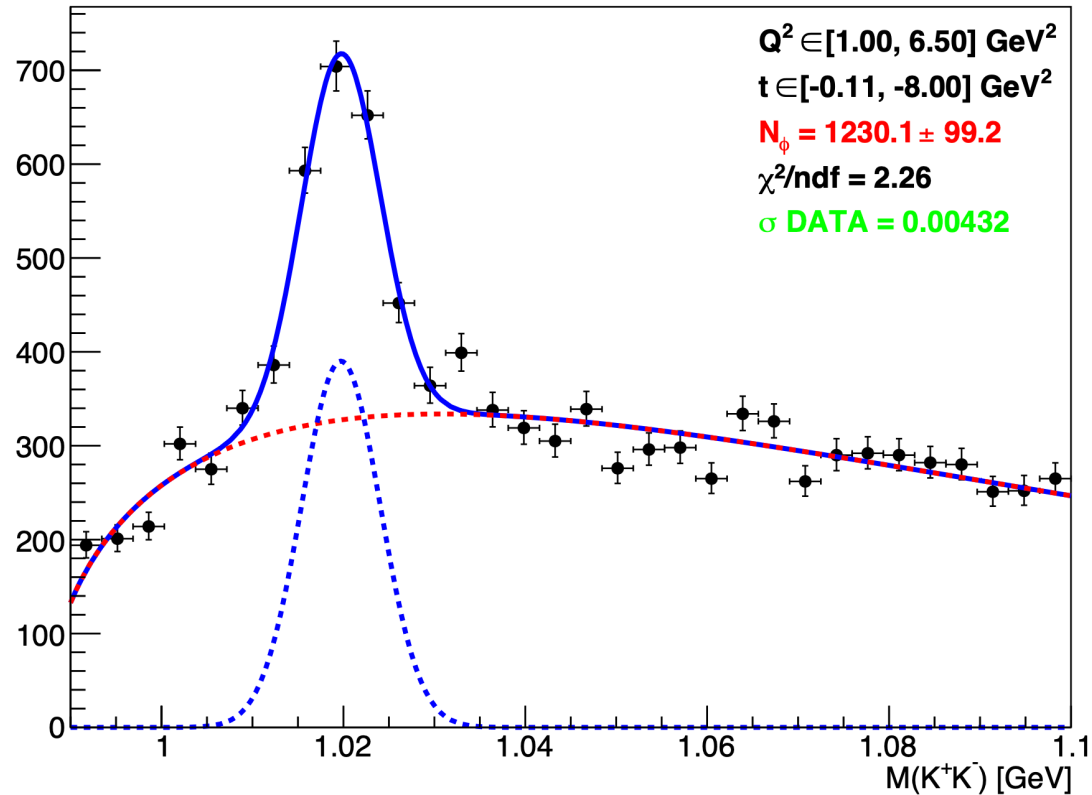
Q = 12.1 mC



Spring2020 inbending

Q = 28.3 mC

Number of event 2



Spring 2019 inbending

Q = 63.4 mC

ϕ generator 1

$$weight_{PhaseSpace} = |Q_{max}^2 - Q_{min}^2| * |x_{b_{max}} - x_{b_{min}}| * |t_{max} - t_{min}|$$

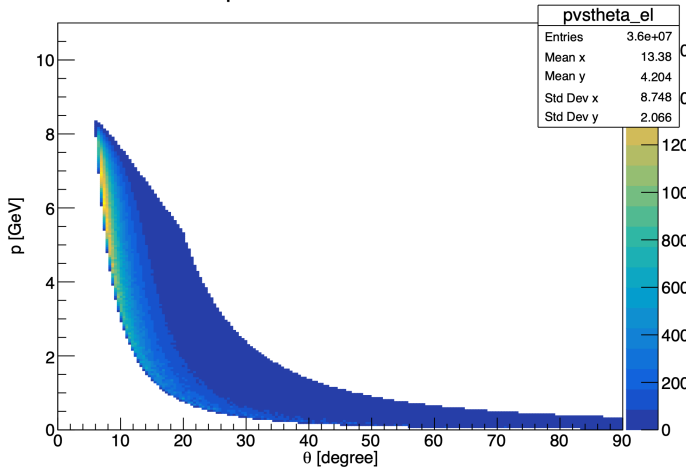
$$\frac{d^3\sigma}{dQ^2 dx_B dt} \quad \text{From Proposal to Jefferson Lab PAC39 Exclusive Phi Meson Electroproduction with CLAS12}$$

$$BR(\phi \rightarrow K^+ K^-) \approx 49.2\%$$

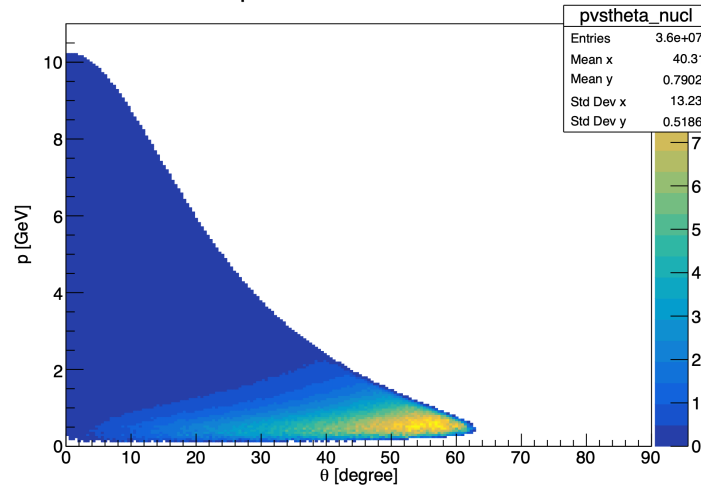
$$totalweight = weight_{phasespace} * weight_{\frac{d^3\sigma}{dt dQ^2 dx_b}} * BR_{\phi \rightarrow K^+ K^-}$$

ϕ generator 2

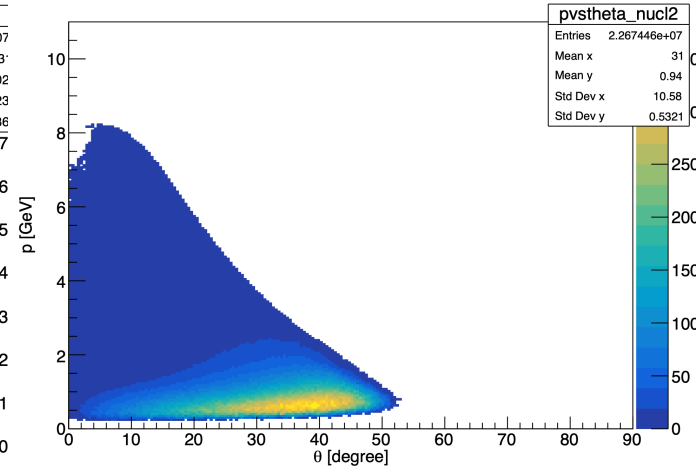
p vs theta for electron



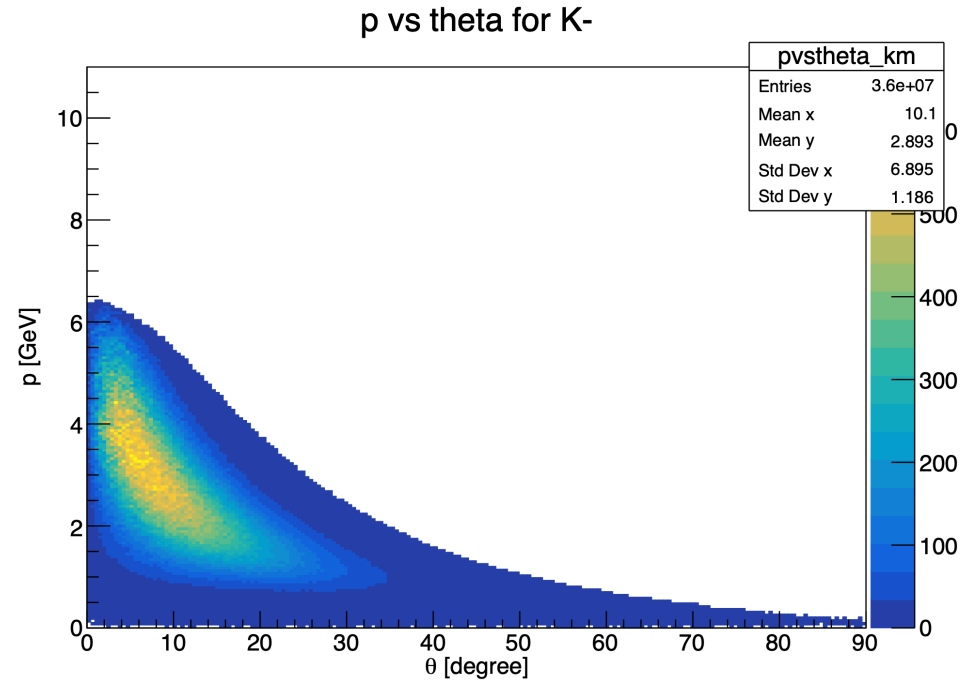
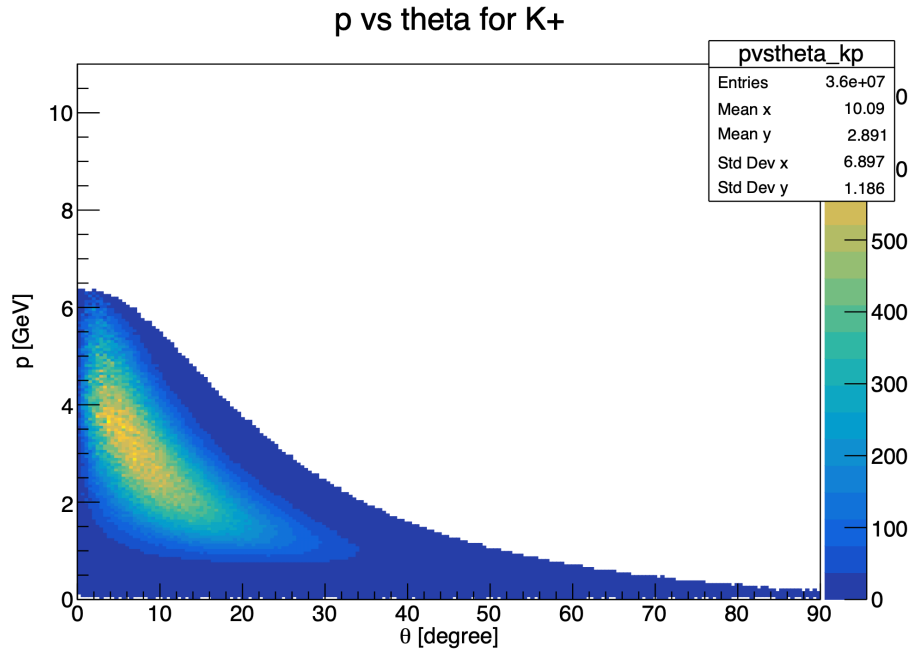
p vs theta for nucleon



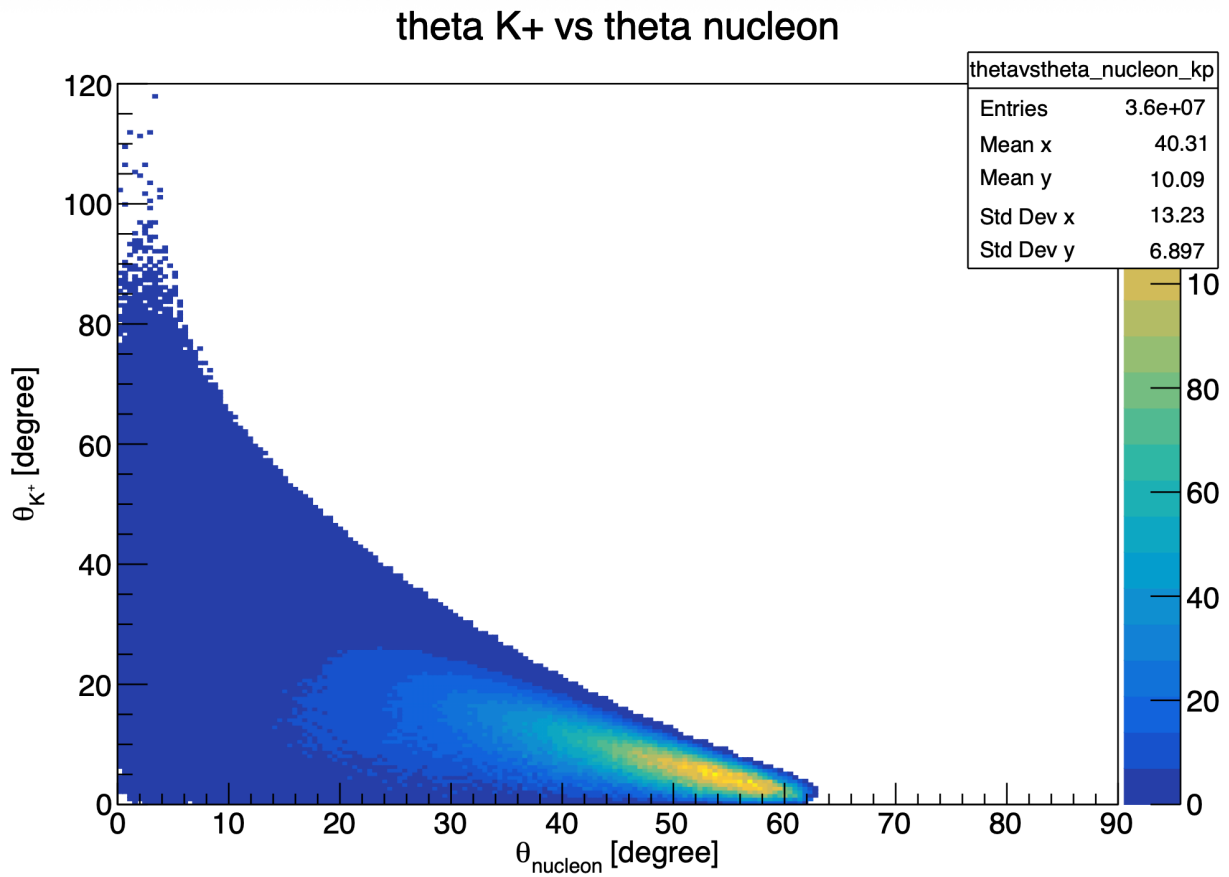
p vs theta for nucleon with large acceptance cuts



ϕ generator 3

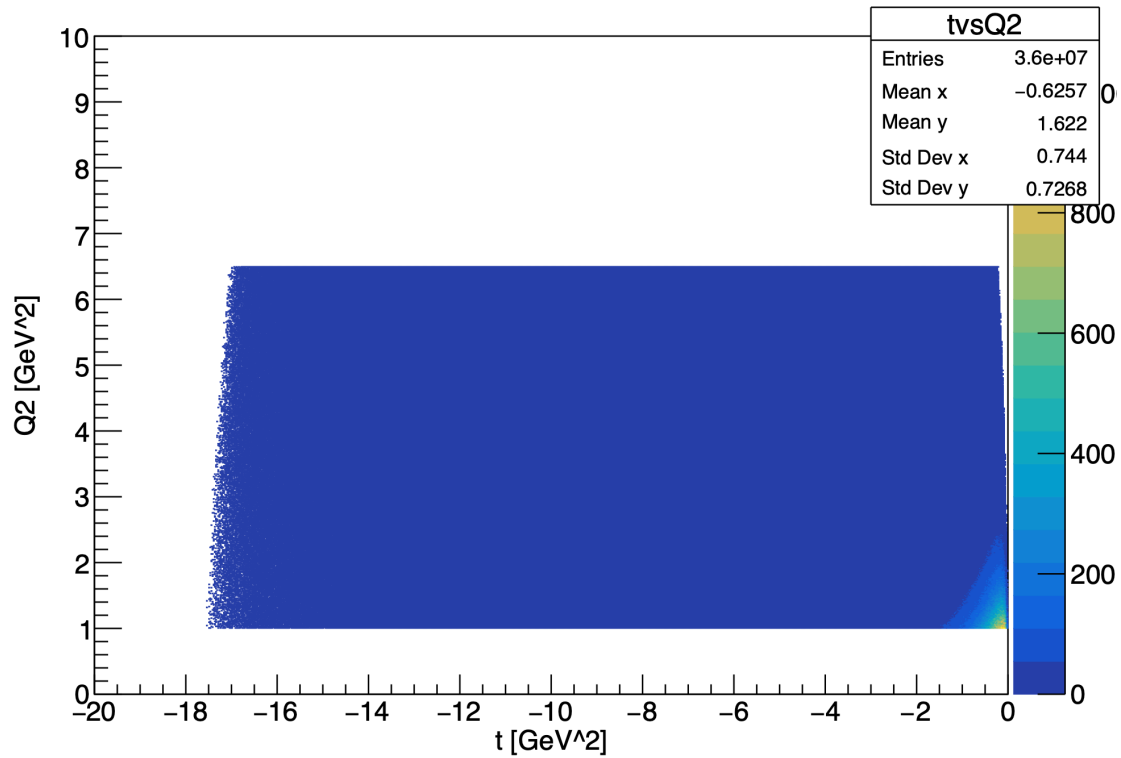


ϕ generator 4

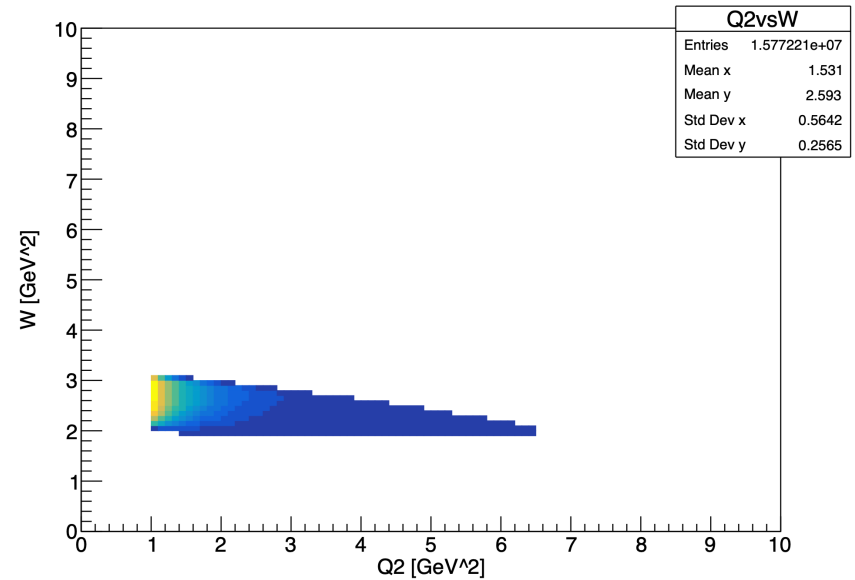


ϕ generator 5

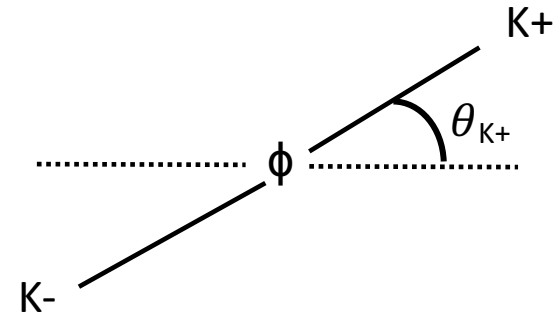
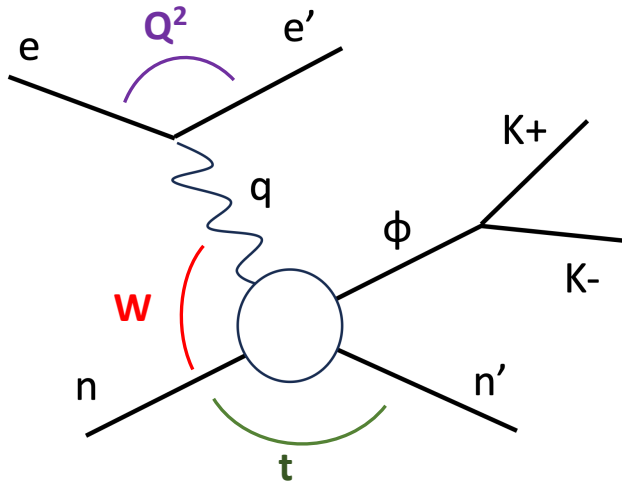
t vs Q2 with kinematics cuts



Q2 vs W



SDME 1

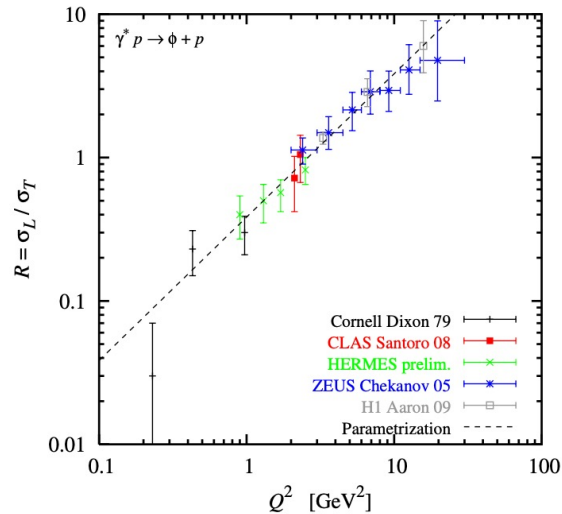


Non isotropic decay of the kaons in the ϕ frame. So we need to add a weight associated to the SDME

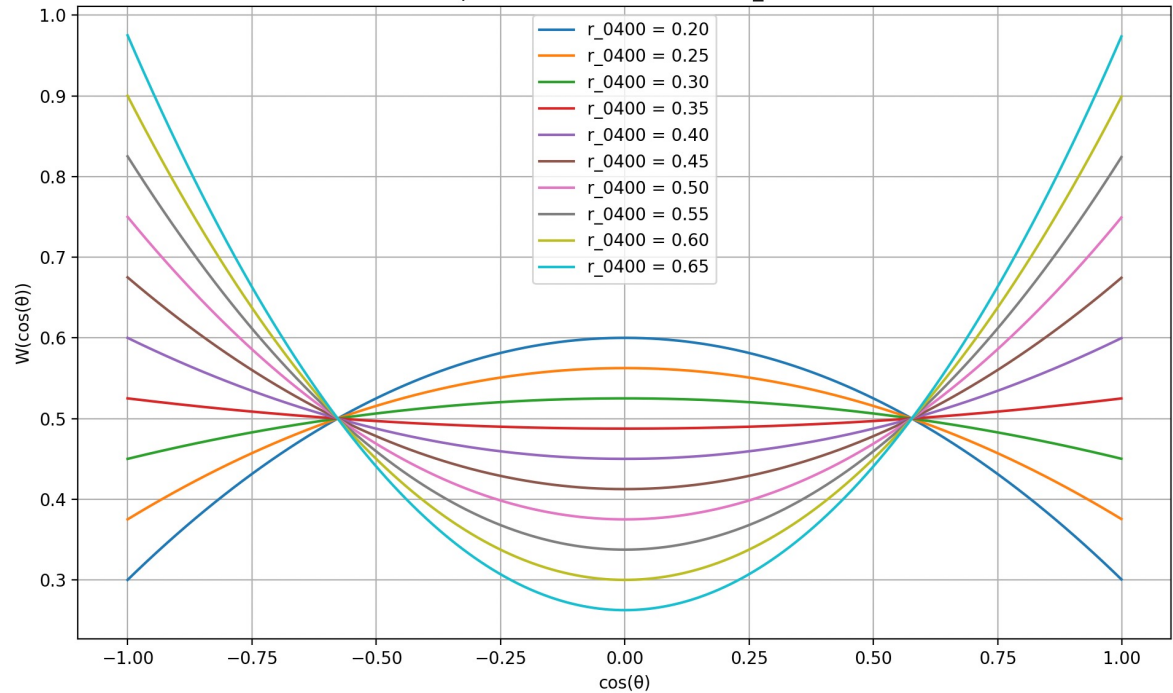
$$\text{Total weight} = \text{Phase Space} * \frac{d^3\sigma}{dt dQ^2 dx_b} * \text{SDME} * BR_{\phi \rightarrow K^+ K^-}$$

SDME 2

$$W(\cos \theta_H) = \frac{3}{4} \left[(1 - r_{00}^{04}) + (3r_{00}^{04} - 1) \cos^2 \theta_H \right]$$

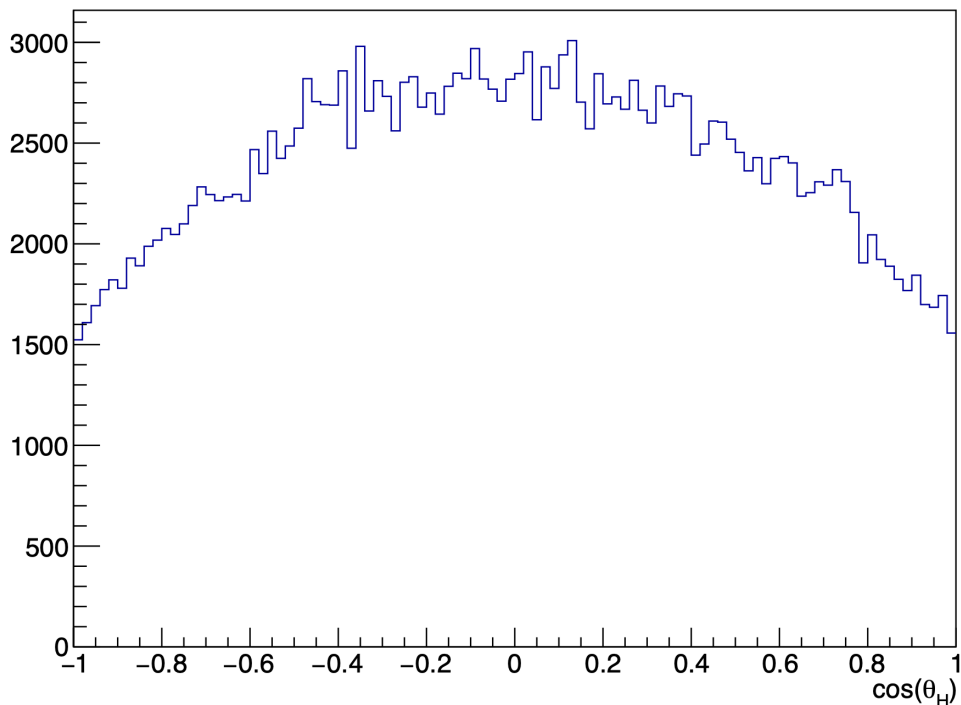


$$R = \frac{r_{00}^{U4}}{\epsilon(1 - r_{00}^{04})} \quad R(W, Q^2) = \frac{c_R Q^2}{m_\phi^2}$$

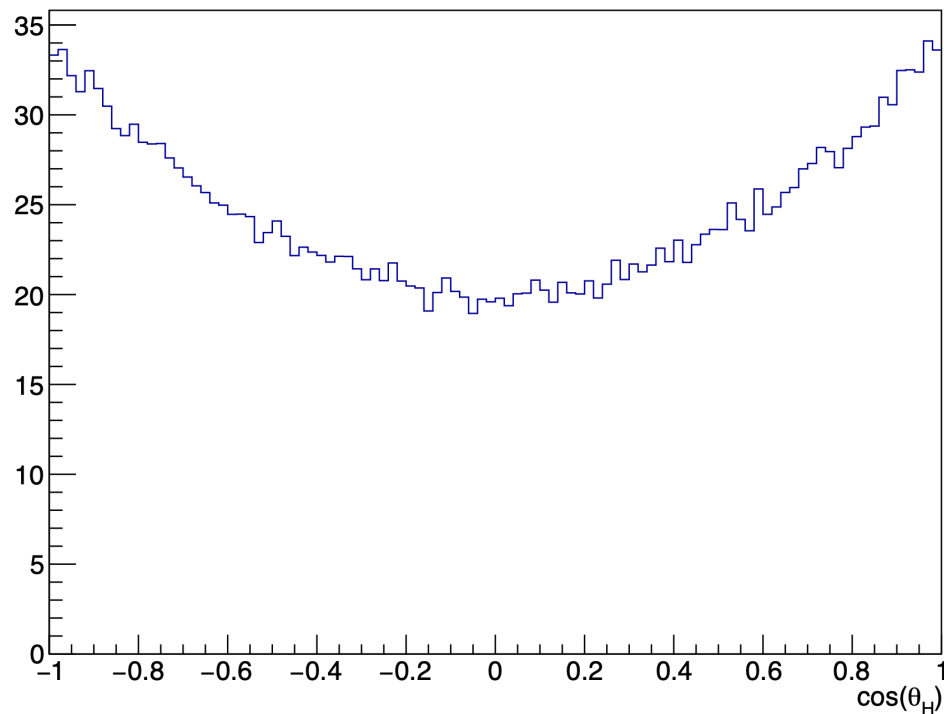


From Proposal to Jefferson Lab PAC39 Exclusive Phi Meson
Electroproduction with CLAS12

SDME 3 (generated plots)

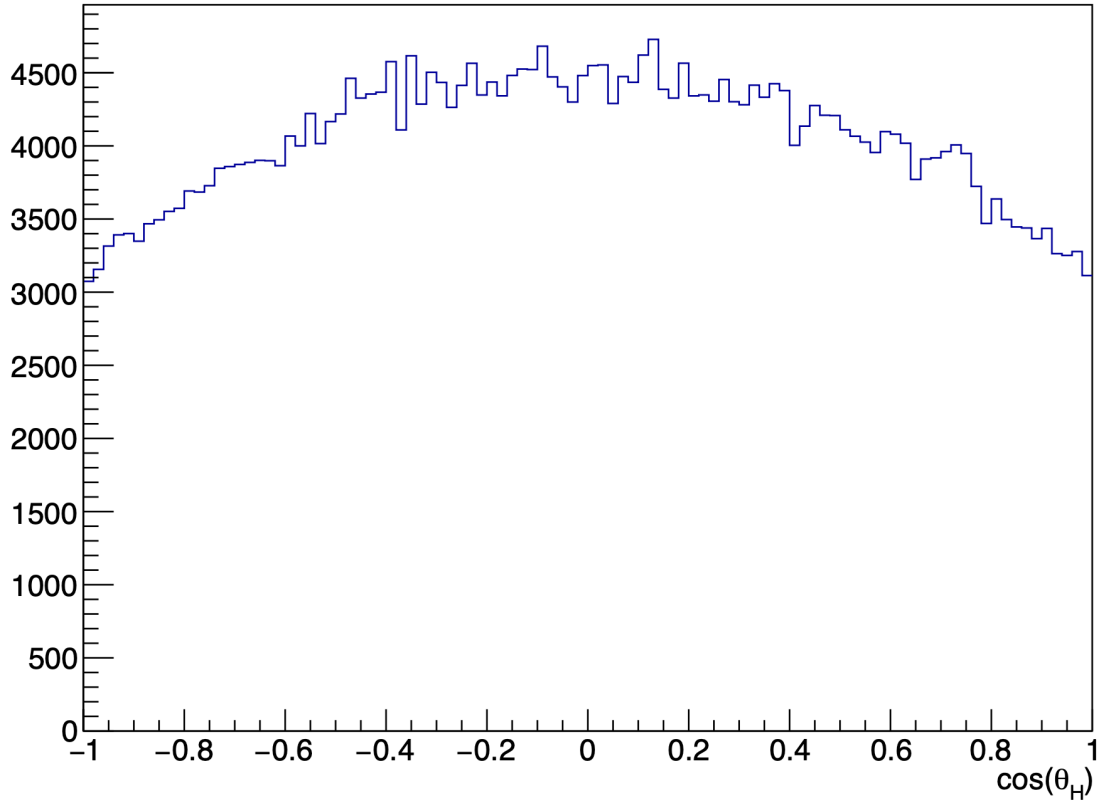


With Q^2 in $[1.0 - 1.5] \text{ GeV}^2$



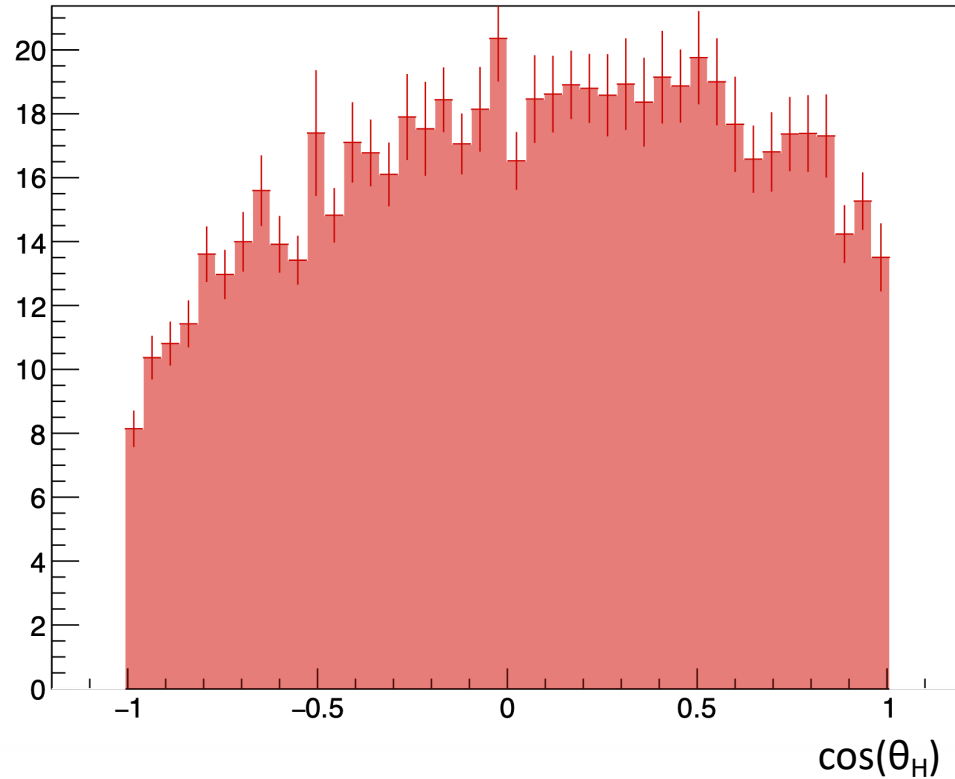
With Q^2 in $[5.0 - 6.5] \text{ GeV}^2$

SDME 4 (generated plots)



With no cut on Q^2

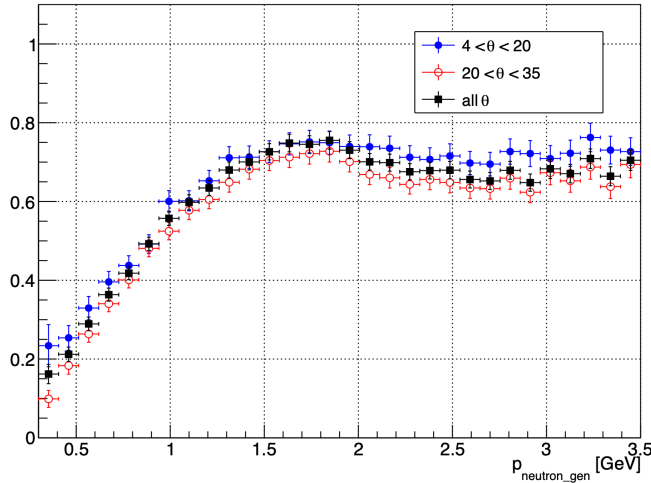
SDME 5 (reconstructed event)



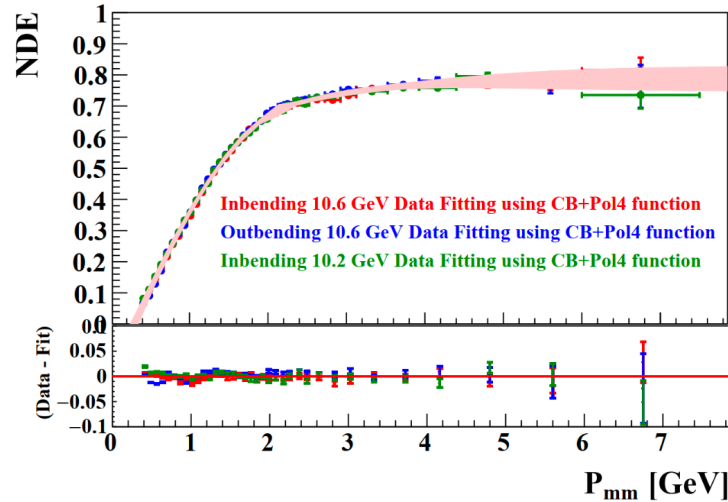
- Reconstructed with Q^2 in $[1.0 - 1.5] \text{ GeV}^2$
- You can see acceptance effect when you compare to the generated plot

Efficiency correction for neutron

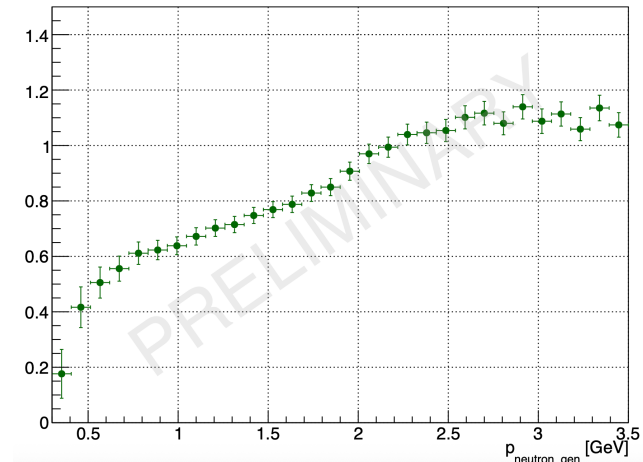
MC Efficiency vs p



Neutron Detection Eff



Data/MC Efficiency Ratio



- Neutron efficiency in **MC** :
$$\frac{N_{rec}(e^- n)}{N_{gen}(\text{with } e^- \text{ rec})}$$

- We are in the fiducial volume for reconstructed and generated event

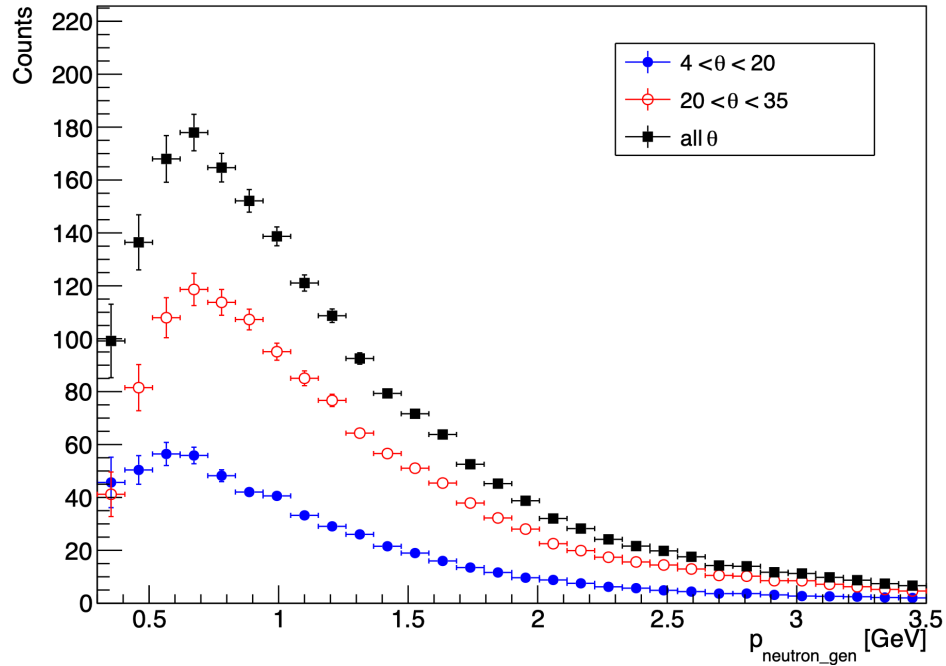
- Neutron efficiency (FD) in **data** from **Lamy Baashen** thesis

(with P_{mm} the missing momentum)

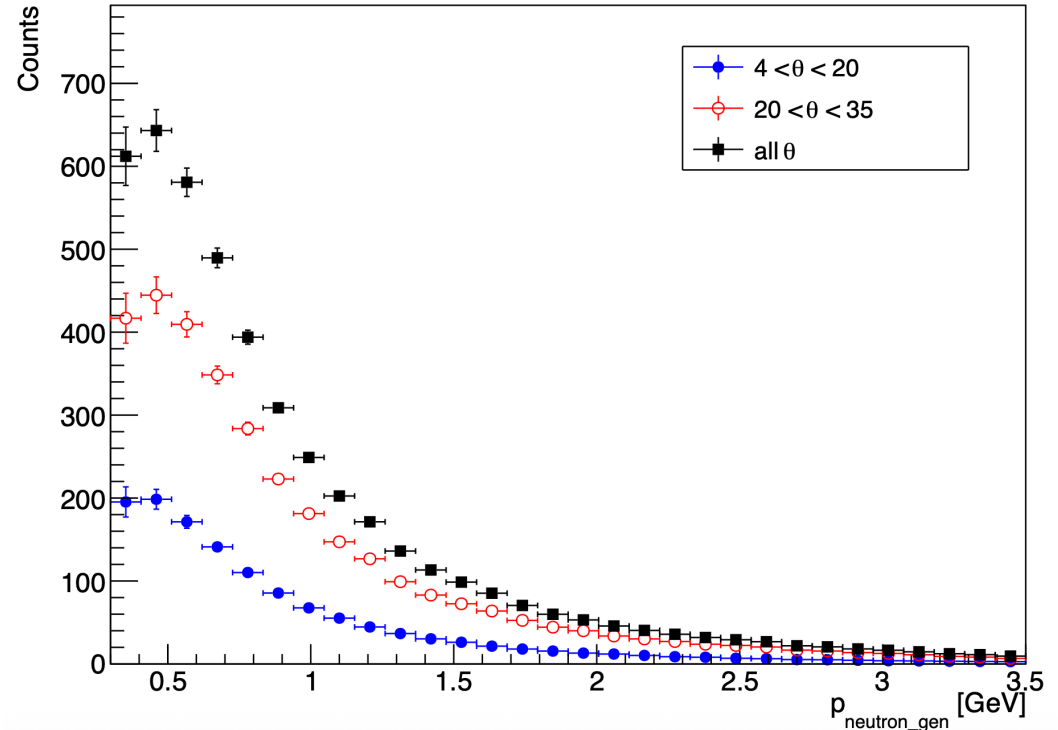
- The ratio between the **MC** and **data** efficiencies gives the **neutron efficiency correction factor**

Neutron efficiency correction 1

p neutron REC

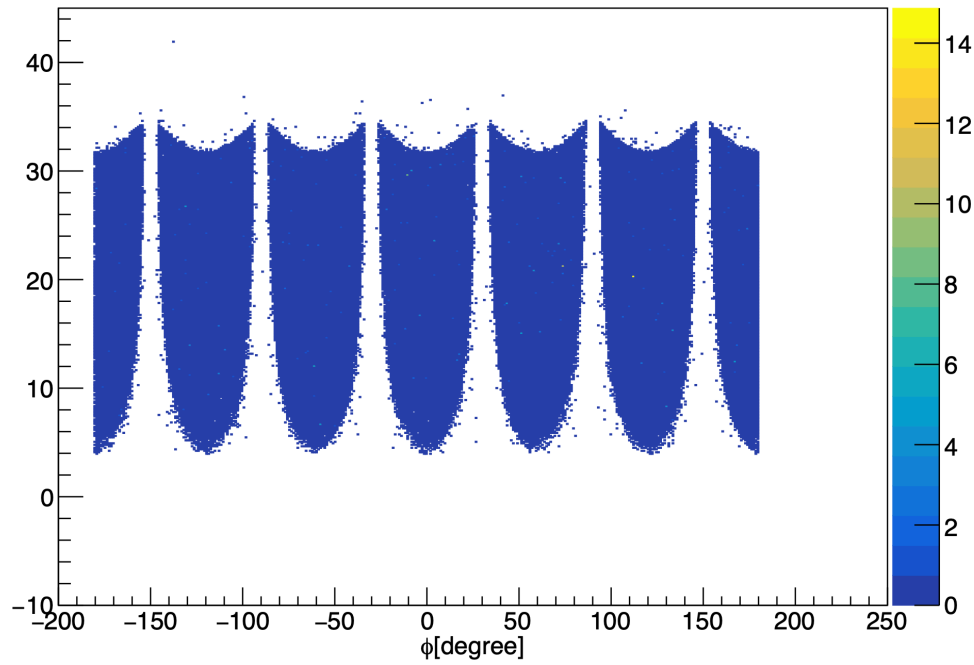


p neutron GEN

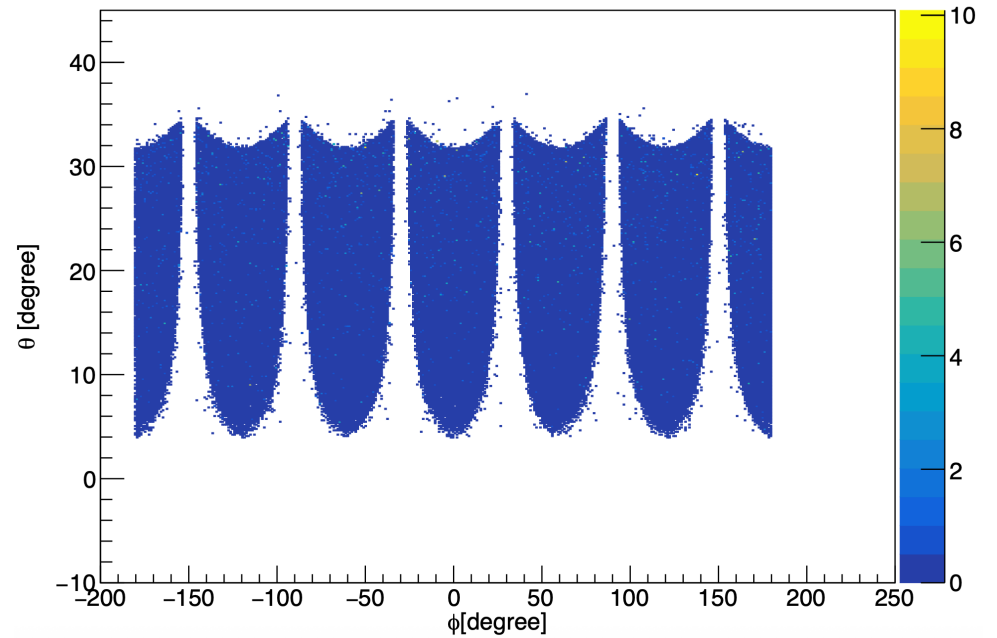


Neutron efficiency correction 2

theta vs phi neutron REC

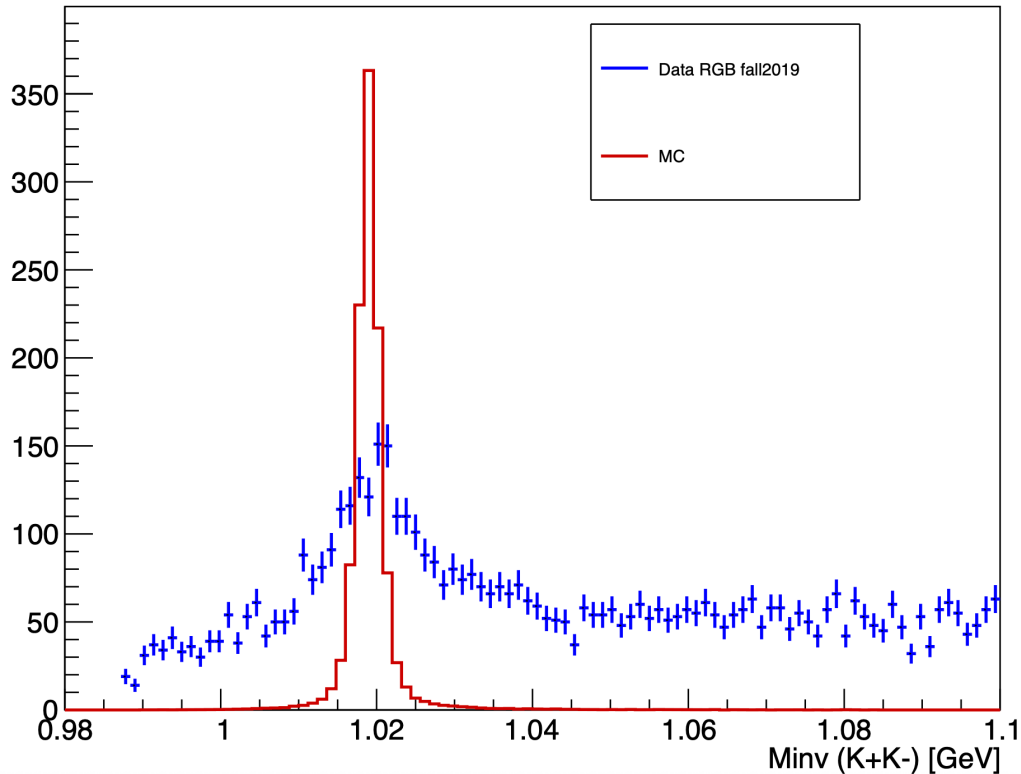


theta vs phi neutron GEN



Smearing of the kaons 1

Invariant Mass K+ K-



→ We need a smearing of both kaons in the MC

$$P_{smear} = P \cdot (1 + \eta_s)$$

With η_s a random number from a Gaussian centered at 0.

The size of the Gaussian is the parameter $\delta(P)$

$$\delta_{K^+}(P) = A_1 \Theta(P - P_1)\Theta(P_2 - P) + B_1 \Theta(P - P_2)\Theta(P_3 - P) + \dots$$

$$\delta_{K^-}(P) = A_2 \Theta(P - P_1)\Theta(P_2 - P) + B_2 \Theta(P - P_2)\Theta(P_3 - P) + \dots$$

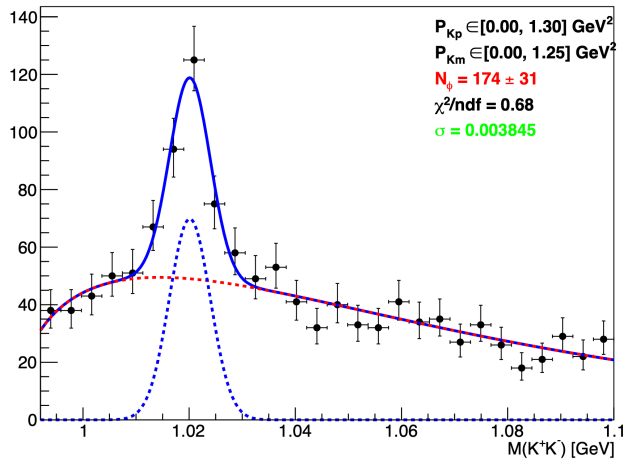
→ Minimize $\sigma_{\text{DATA}} - \sigma_{\text{MC}}$ per bins of momentum to find the parameters A_1, B_1, C_1, \dots

Smearing of the kaons 2

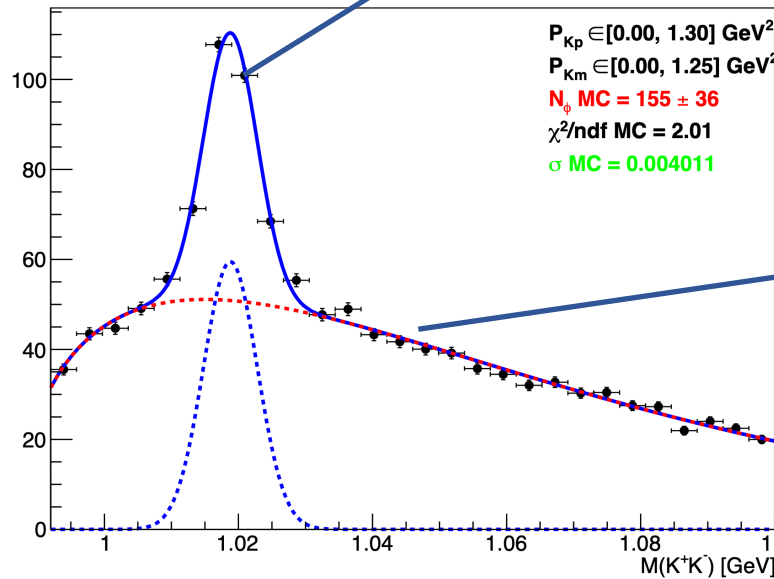
How to extract σ_{MC} in one bin of momentum?

Random fill from the MC reconstructed event histogram (with the smearing which depends of the parameters $A_1, B_1, C_1 \dots$)

Random fill from the distribution of data background



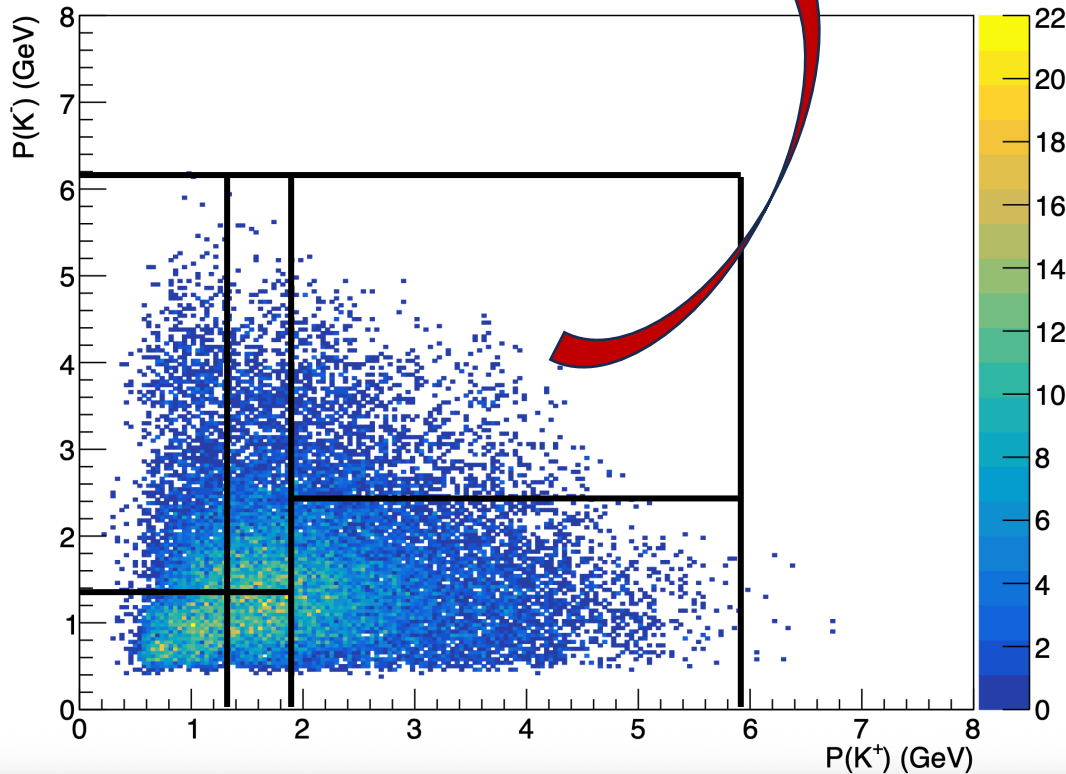
DATA



MC

Smearing of the kaons 3

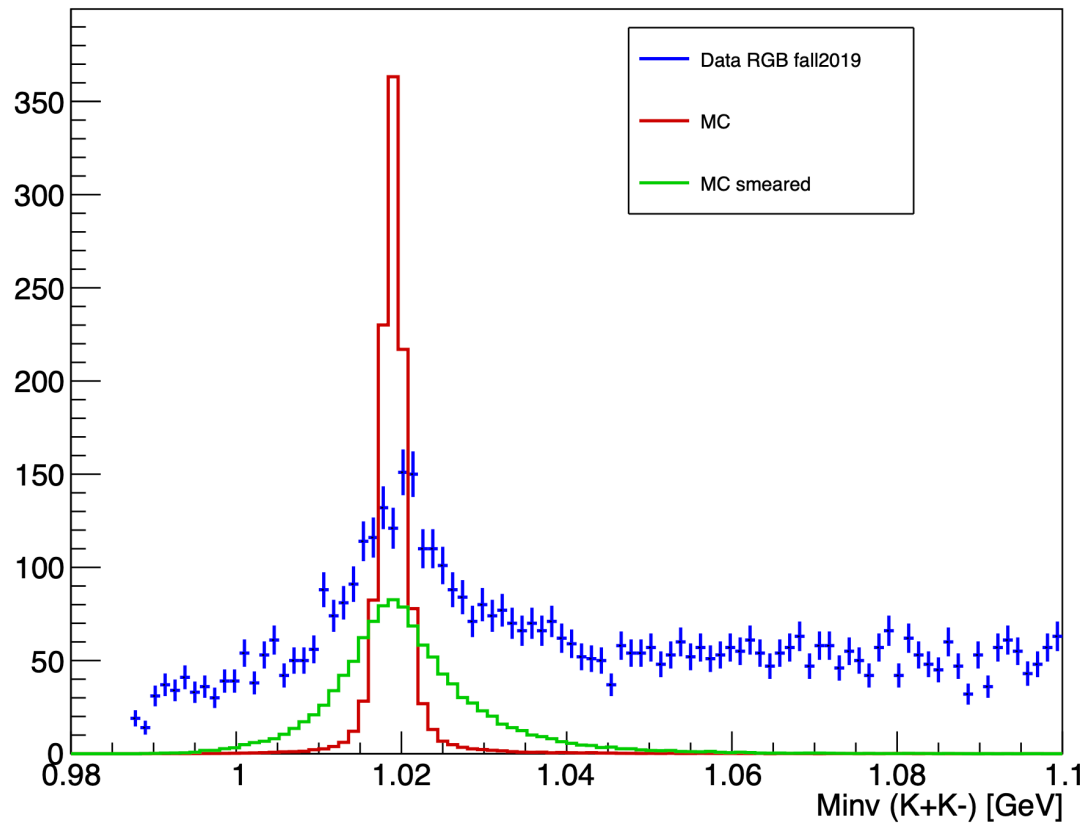
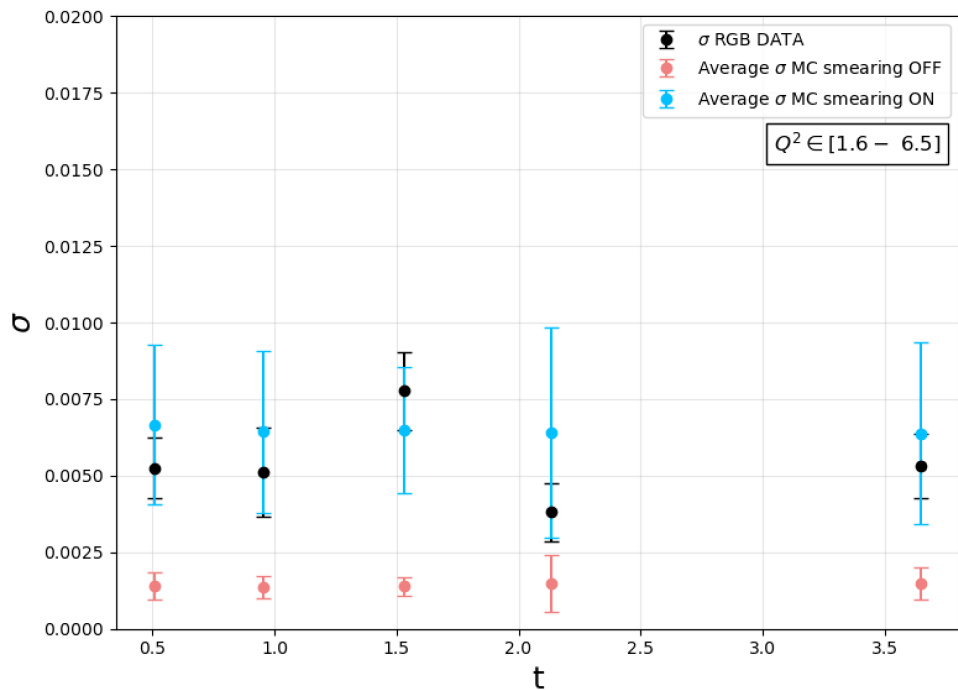
Extract σ_{DATA} and σ_{MC} per bins



$$X^2 = \sum_{bins} \sigma_{DATA} - \sigma_{MC}$$

→ Minimise X^2 with Minuit2 (Simplex) and find 8 parameters A1, B1, C1, D1, A2, B2, C2, and D2 of the smearing functions

Smearing of the kaons 4



Acceptance 1

$$A = \frac{N_{rec}}{N_{gen}} * \frac{N_{fit}}{N_{random}}$$



Contribution from the model, the geometry and the efficiency.



Contribution from the resolution of the fit.

N_{rec} : Number of reconstructed event in the MC

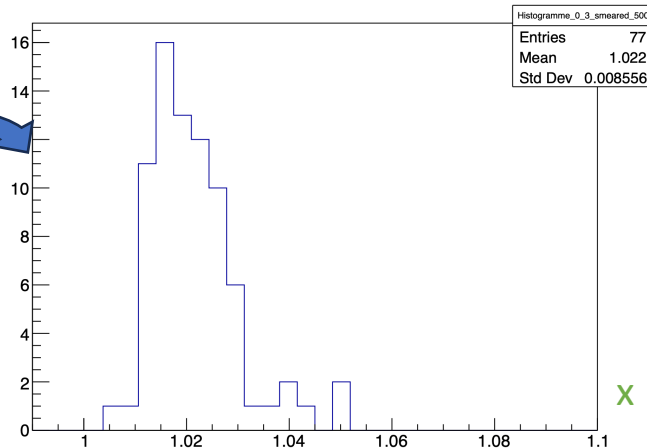
N_{gen} : Number of generated event in the MC

N_{random} : Number of event random fill from the MC reconstructed histogram (equal the number of phi extracted in the data)

N_{fit} : Number of extracted event with the fit (average of 10000 pseudo-exp)

Acceptance 2

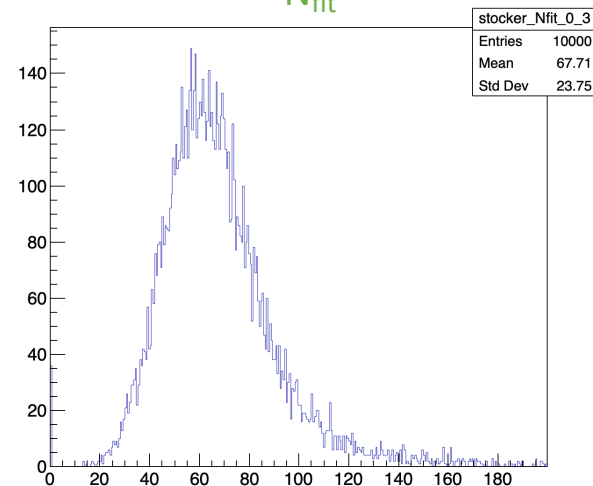
Random fill (with N_{random} equal to the number of ϕ in the data) from the MC reconstructed histogram.



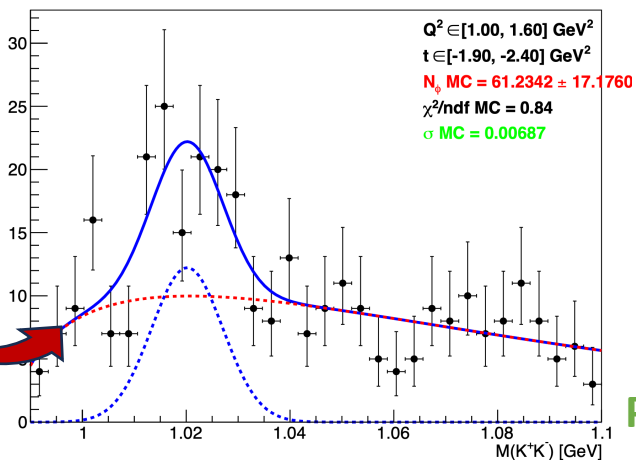
$\times 10\,000$



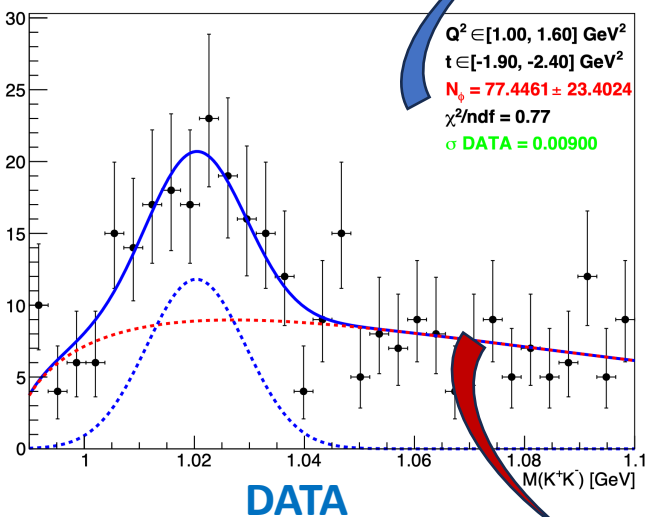
N_{fit}



Pseudo-exp

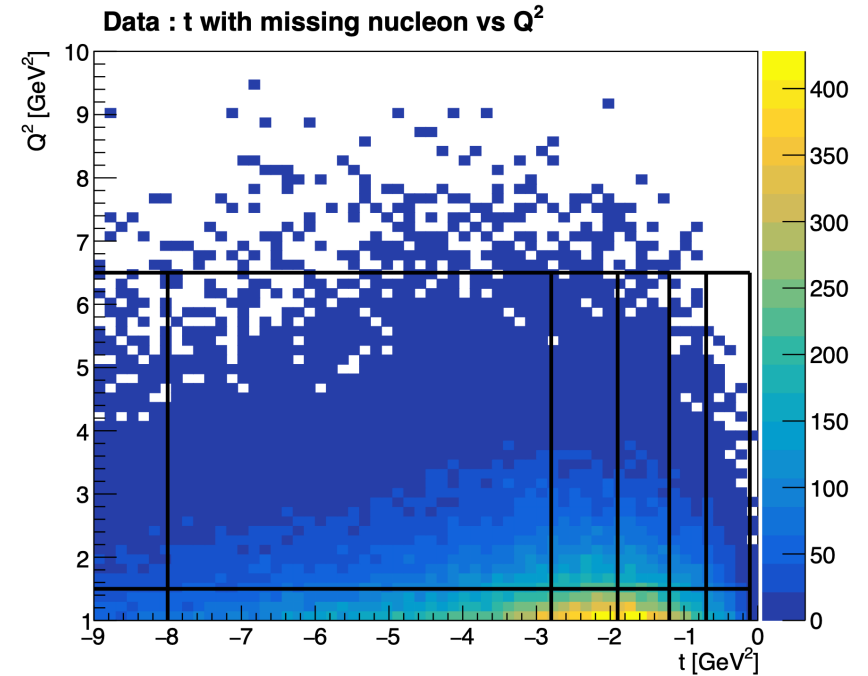
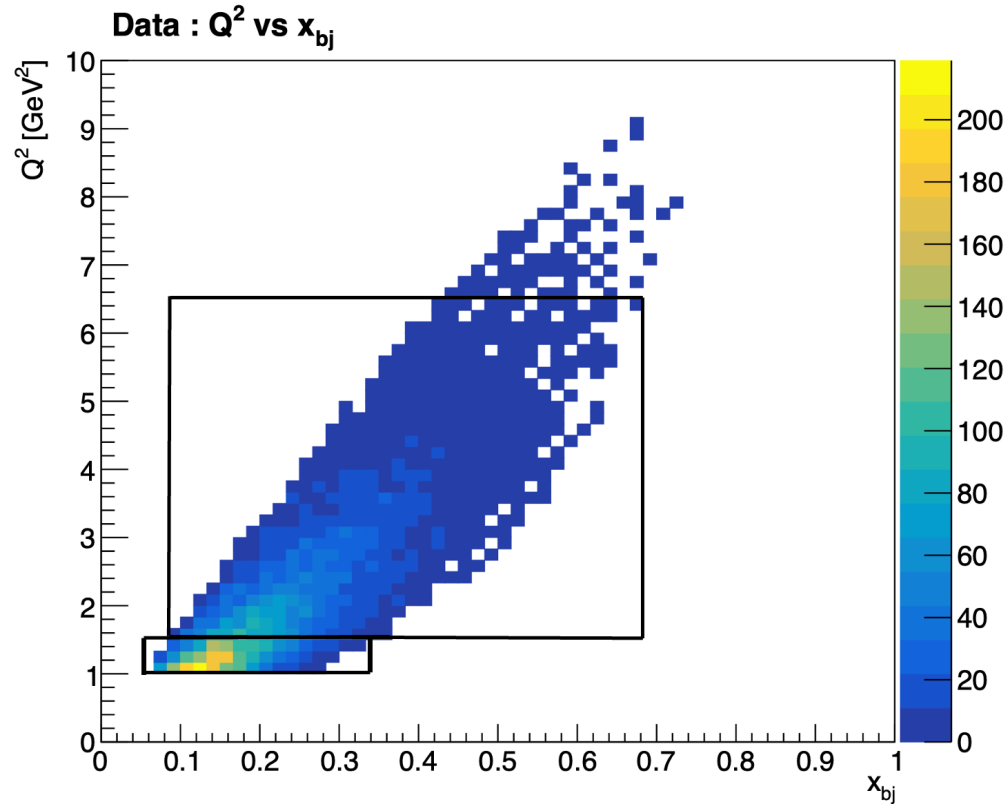


$Q^2 \in [1.00, 1.60] \text{ GeV}^2$
 $t \in [-1.90, -2.40] \text{ GeV}^2$
 $N_\phi = 77.4461 \pm 23.4024$
 $\chi^2/\text{ndf} = 0.77$
 $\sigma_{\text{DATA}} = 0.00900$



Random fill from the distribution of data background

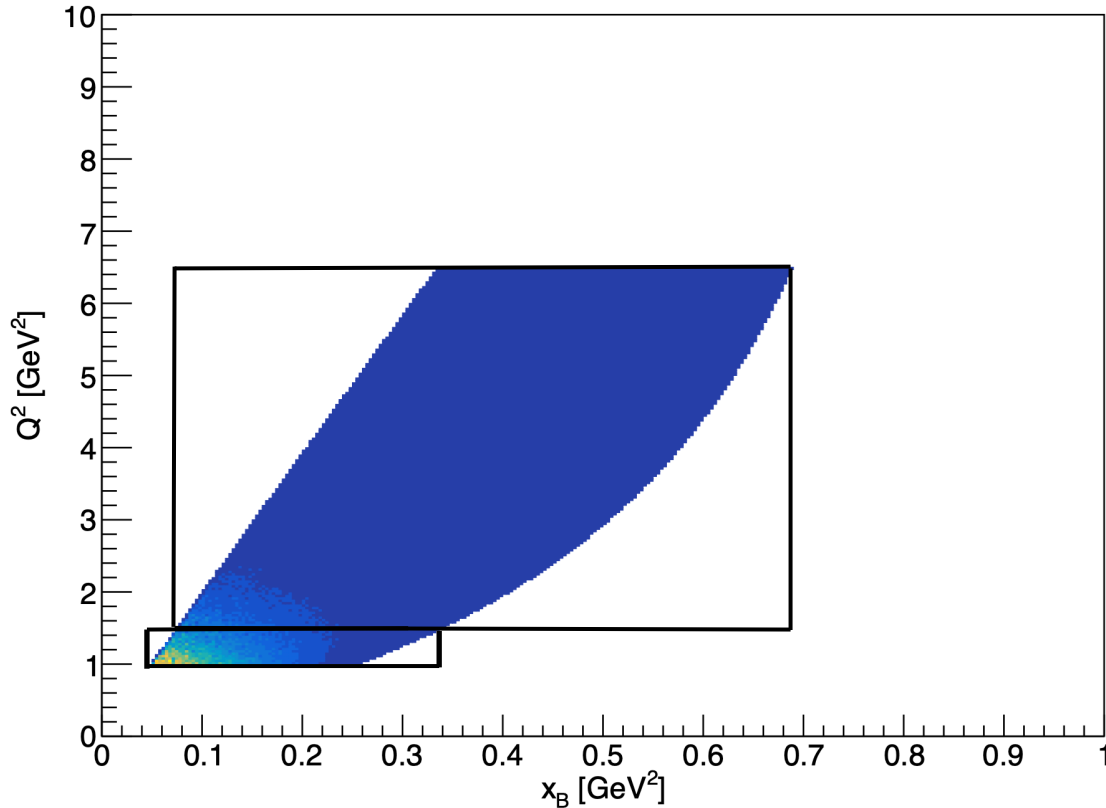
Cross section calculation 1 (binning on Q^2 , x_b , and t)



• t binning for the two bins in Q^2

Cross section calculation 2 (binning correction)

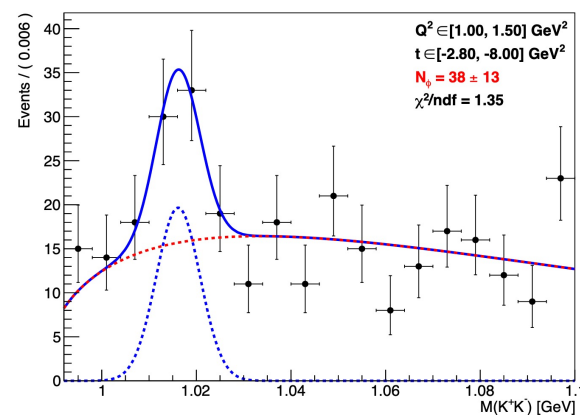
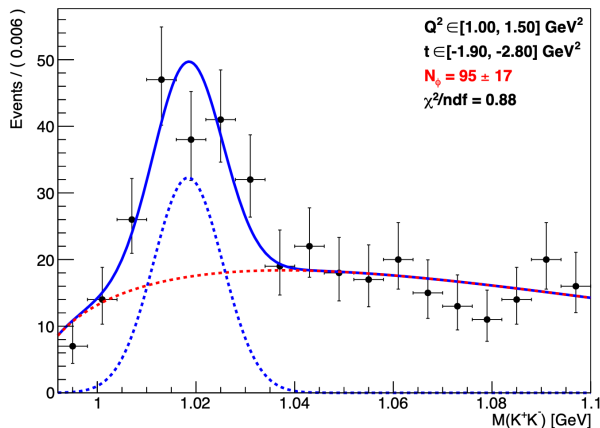
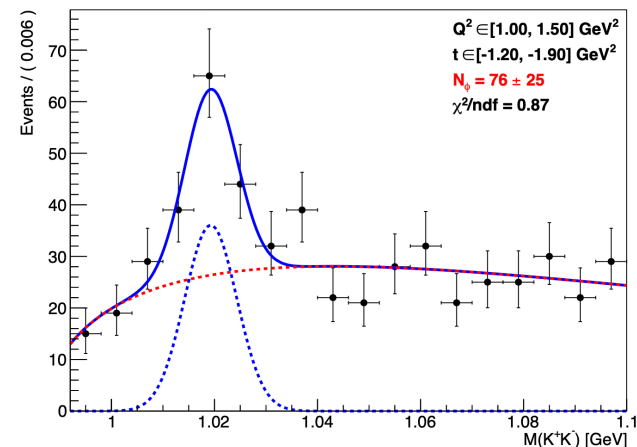
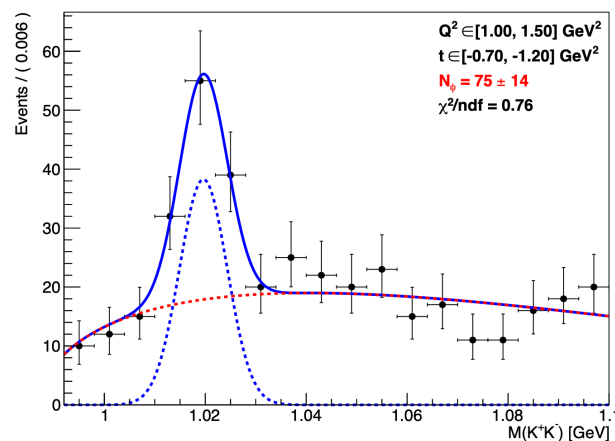
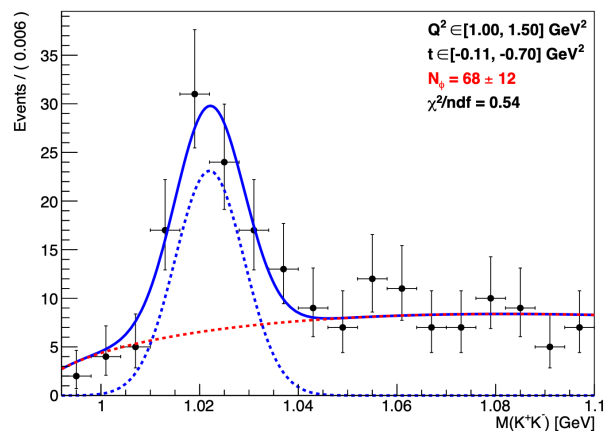
Generated events : Q^2 vs x_b



- The correction factor f is the size of the physical phase space in Q^2 and x_B divide by $\Delta Q^2 \Delta x_b$
- To determine the size of the physical phase space, we use generated events and divide the number of filled bins by the total number of bins.

bin	$1.0 < Q^2 < 1.5 \text{ GeV}^2$ $0.05 < x_b < 0.34$	$1.5 < Q^2 < 6.5 \text{ GeV}^2$ $0.08 < x_b < 0.7$
f	0.81	0.49

Cross section calculation 3 (all fit data bin1 Q^2)



Cross section calculation 4 (all fit data bin2 Q^2)

